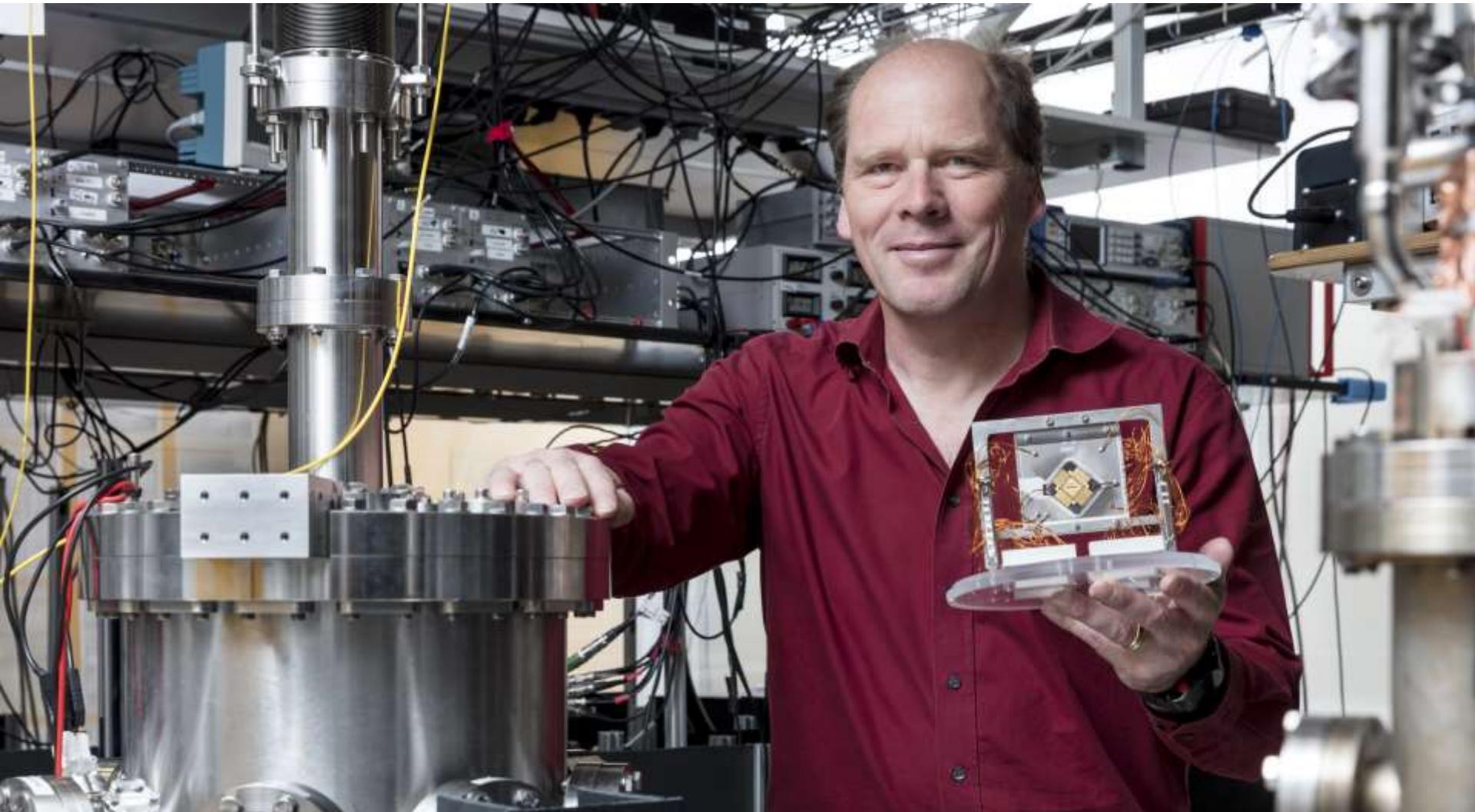


Quantum information with trapped ions

- Trapped ions as qubits for quantum computing and simulation
- Qubit architectures for scalable entanglement



Quantum thermodynamics with ions

- Quantum thermodynamics introduction
- Heat transport, Fluctuation theorems,
- Phase transitions, Heat engines
- Outlook



Hartmut
Häffner



Kihwan
Kim



Dzmitry
Matsukevich

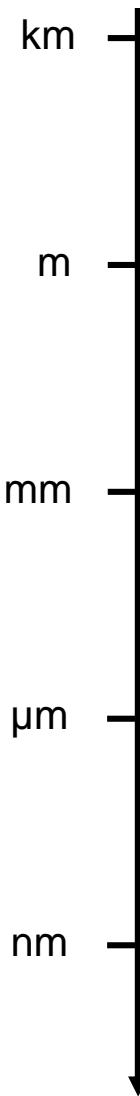


清华大学 量子信息中心
Tsinghua University Center for Quantum Information



Centre for
Quantum
Technologies

Overview



Large system:
Many degrees of freedom
and many particles

Average values

In equilibrium, or very close to it

Fluctuations unimportant



Small system:
few degrees of freedom
and single particles

Work probability distribution

Thermal fluctuations

Brownian motion



Quantum system: Quantized
degrees of freedom,
superpositions and entanglement

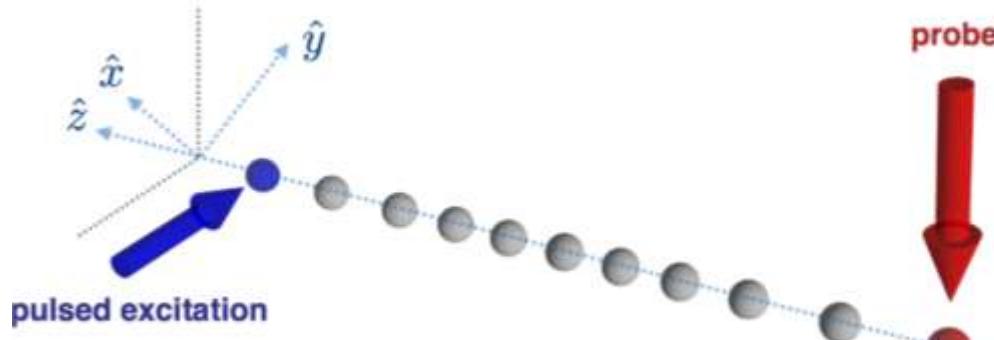
Probabilistic nature
of quantum processes

Observation of system matters

Correlations with
environment (bath) matter

New machines

Energy transport



Hartmut
Häffner

Transport of radial phonons via a linear ion crystal

Energy propagation

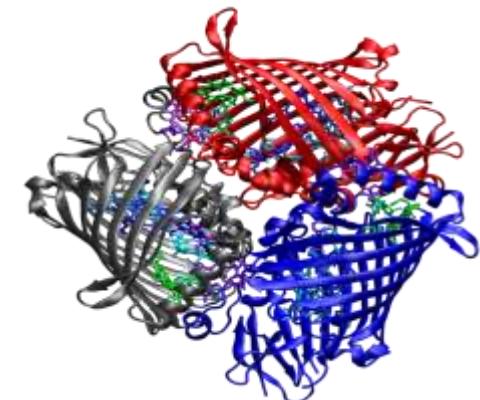
Propagation of quantum correlations

Vibrationally assisted energy transport

Explores high dimensional Hilbert space

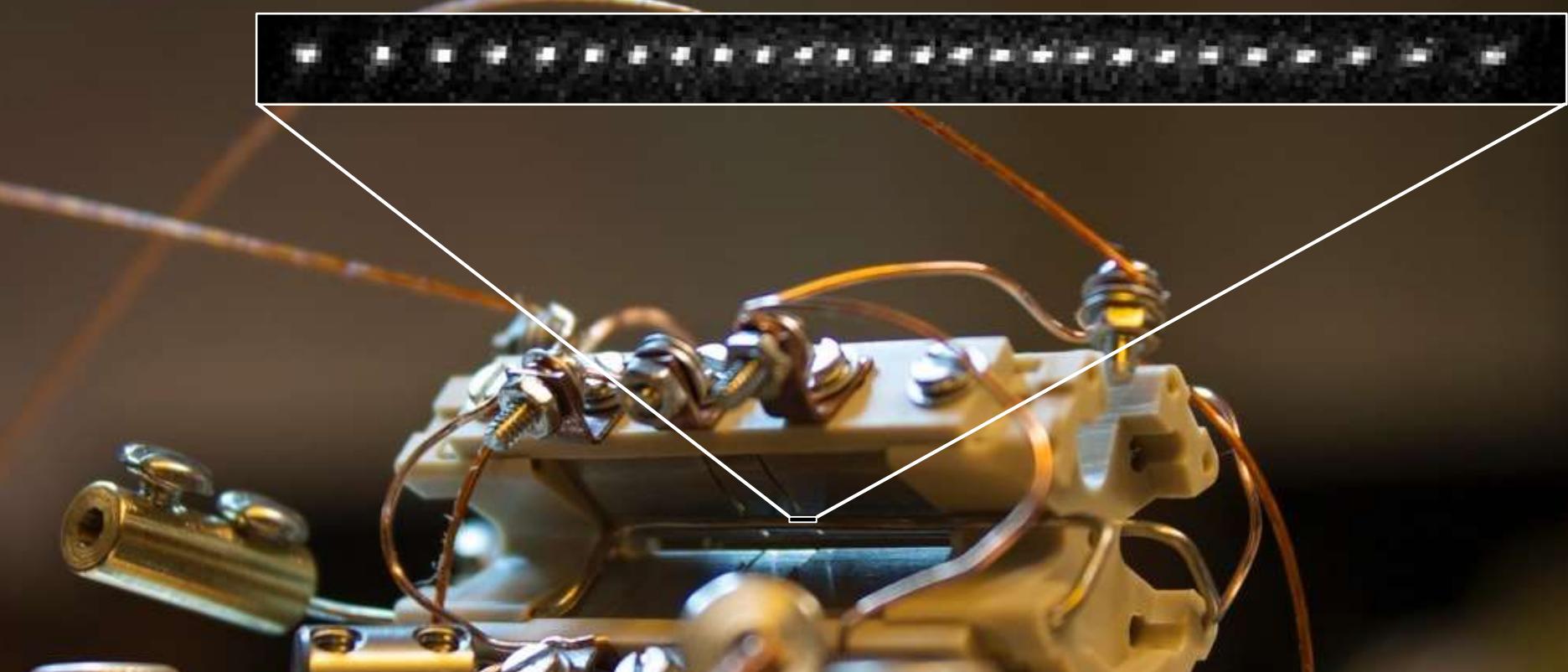
Transport involving nonlinear interactions

Understanding transport principles in light harvesting



The ion crystal

Ca⁺



$$H = \hbar \sum \Delta_{\text{ion}} \sigma_i^z + \hbar \sum \omega_{r,i} a_i^\dagger a_i + \sum t_{ij} (a_i^\dagger a_j + a_i a_j^\dagger)$$

Qubits

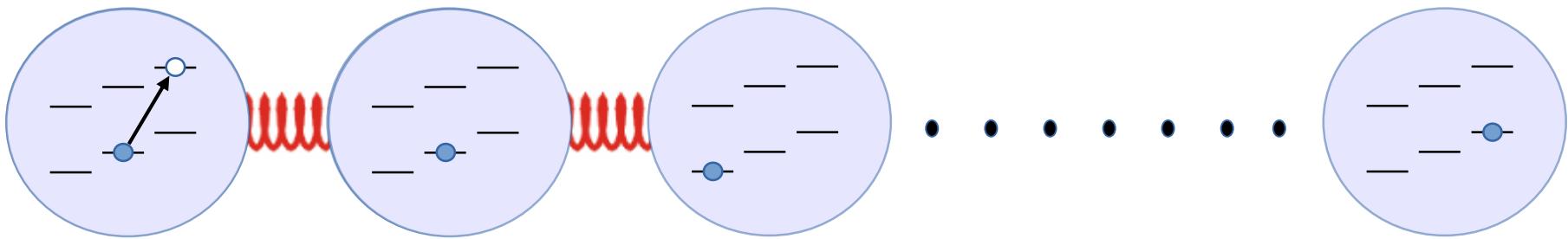
Local motion

Coulomb interaction

The scheme:

$$|S\rangle |n\rangle + |D\rangle |n+1\rangle$$

$$\rightarrow |S\rangle |\Psi(t)\rangle + |D\rangle |\Psi_\epsilon(t)\rangle$$



- Excite first ion on sideband,
generates spin-motion entanglement
- Motion propagates through the crystal
- Wait-time
- Analyse if motion returned back
- Contrast of Ramsey reveals delocalization of motional excitation

Result:



1.0

N=42

Delocalization and relocalization of quantum correlations

Following the dynamics of a single phonon on a background thermal background of 200 phonons

Visibility

0.4

BUT: Linear dynamics → can be described efficiently

0.0

0

200

400

600

800

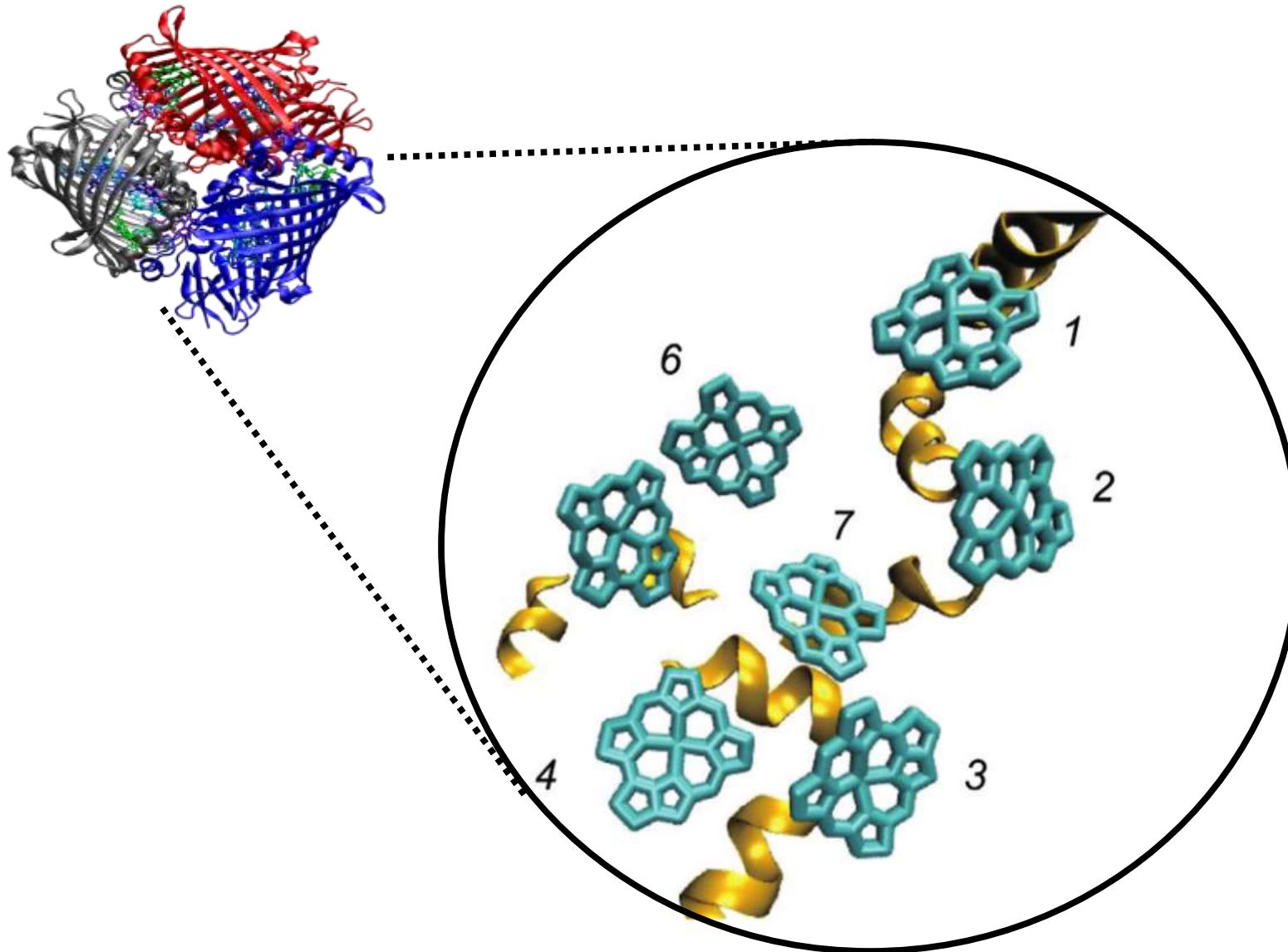
1000

Time t (μs)

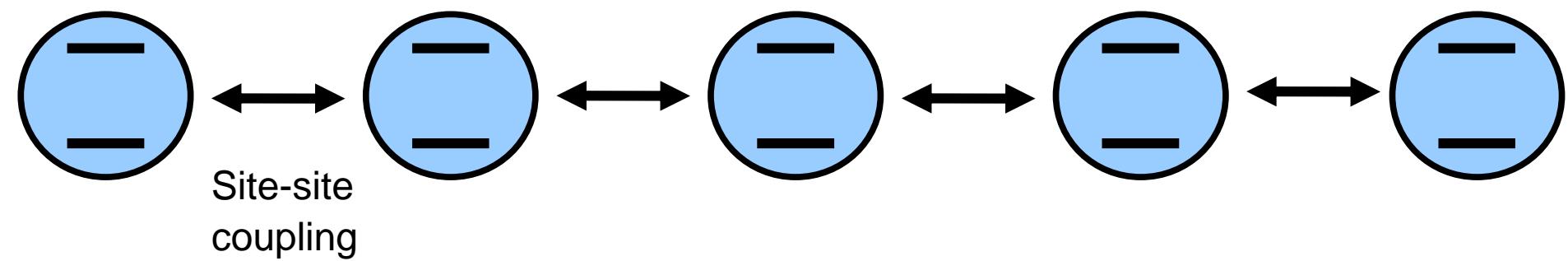
Ramm et al., NJP 16 063062 (2014)

Abdelrahman et al., Nat. Comm. 8 15712 (2017)

Light harvesting complex

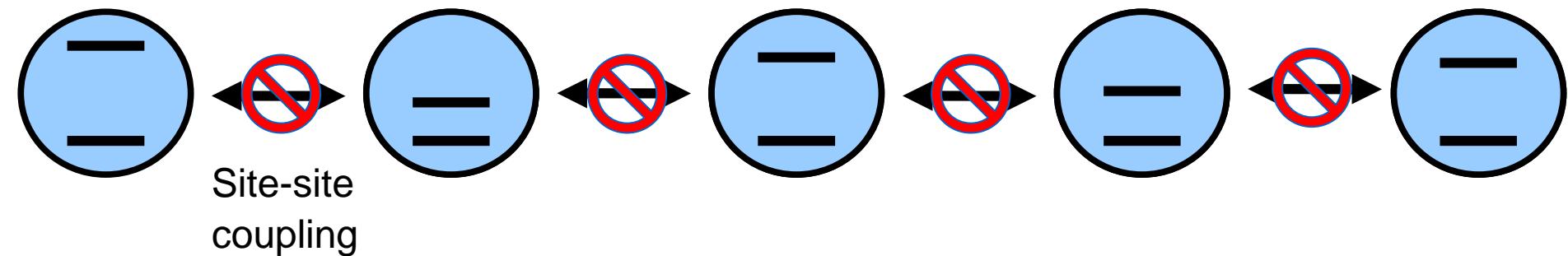


Light harvesting complex - model



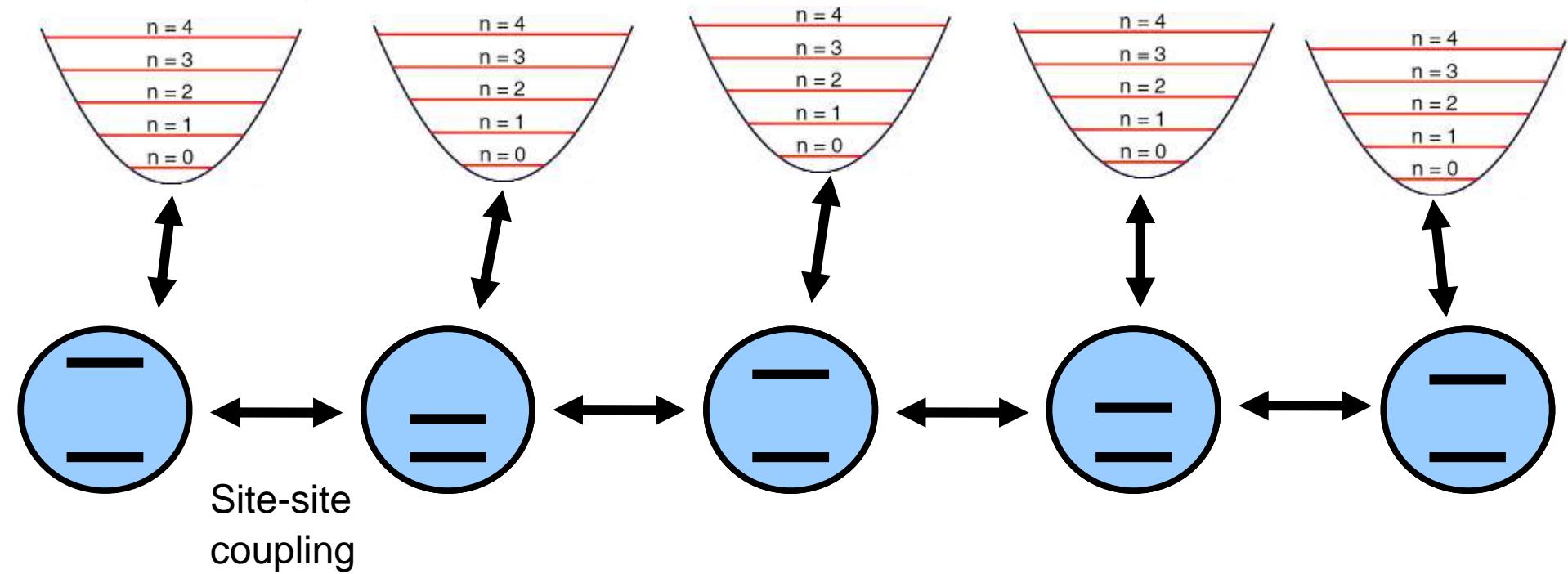
Light harvesting complex - model

Inhomogeneity **inhibits** the energy transfer



Light harvesting complex - model

Environment

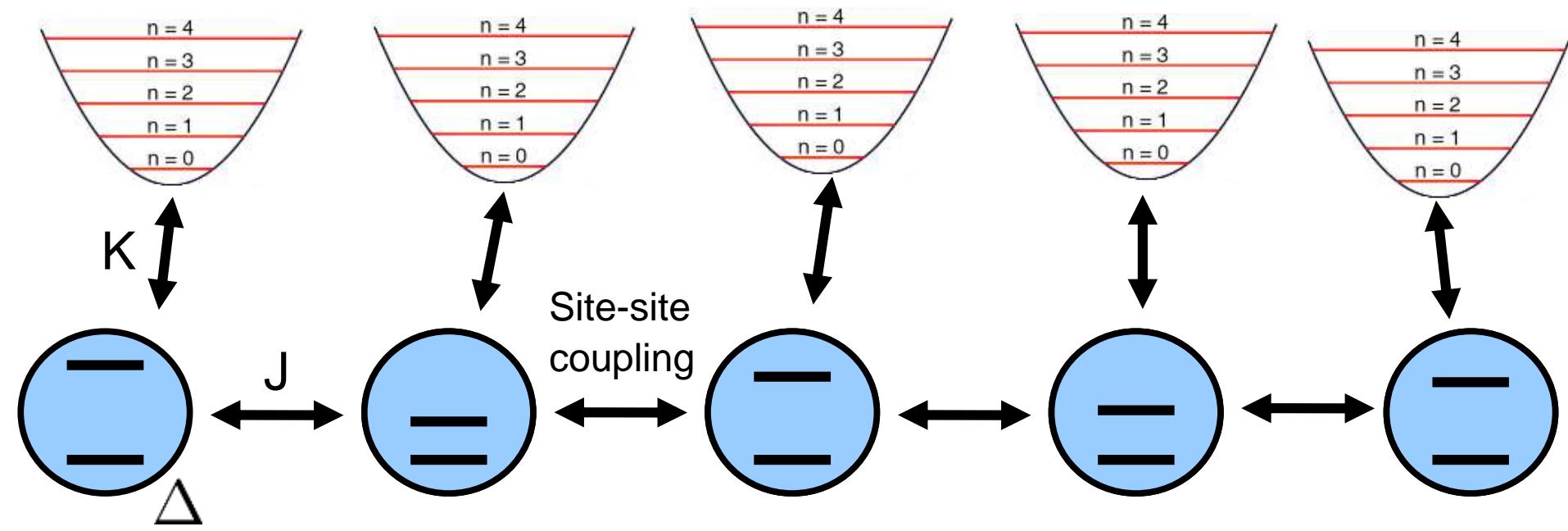


Environment helps fulfilling
resonance condition



Vibrationally assisted
energy transport

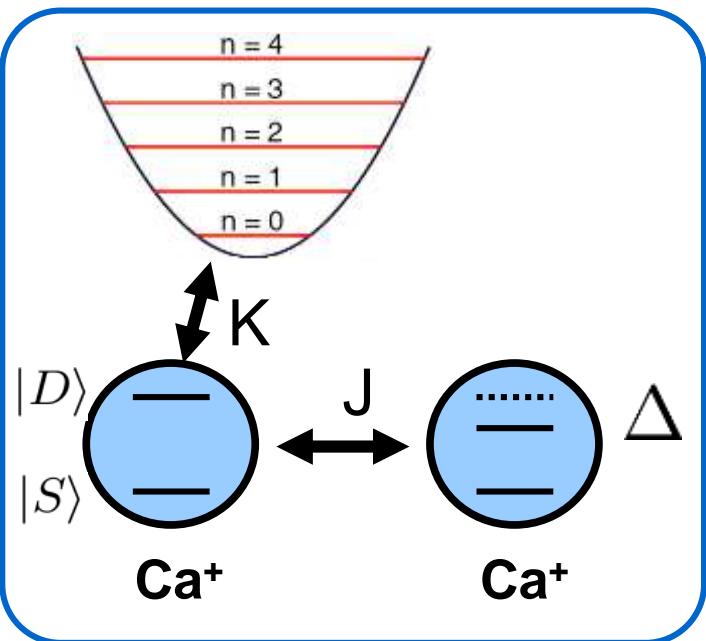
Full Hamiltonian



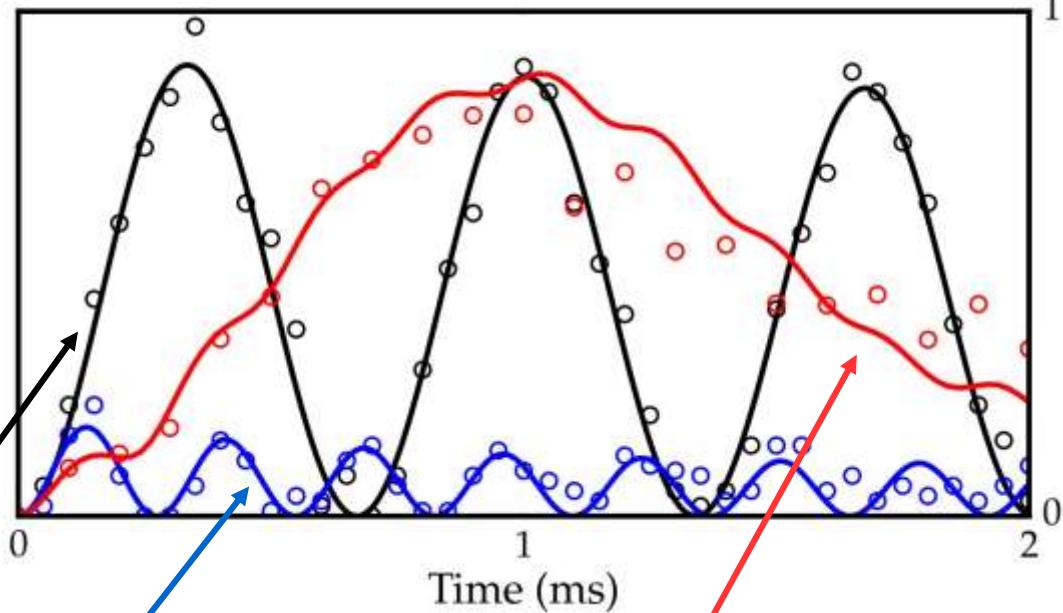
Even for small phonon excitation and few ions becomes high dimensional Hilbert space

$$\begin{aligned} H_{\text{eff}}/\hbar = & \sum_{i,j} \frac{J_{ij}}{2} (\sigma_i^+ \sigma_j^- + \sigma_i^- \sigma_j^+) \\ & + \sum_{i,j} \frac{K_{ij}}{2} \sigma_i^z (a_i + a_i^\dagger) \\ & + \sum_i \frac{\Delta_i}{2} \sigma_i^z + \sum_i \nu_i a_i^\dagger a_i \end{aligned}$$

Minimal system – two ions



Measured probability of population transfer



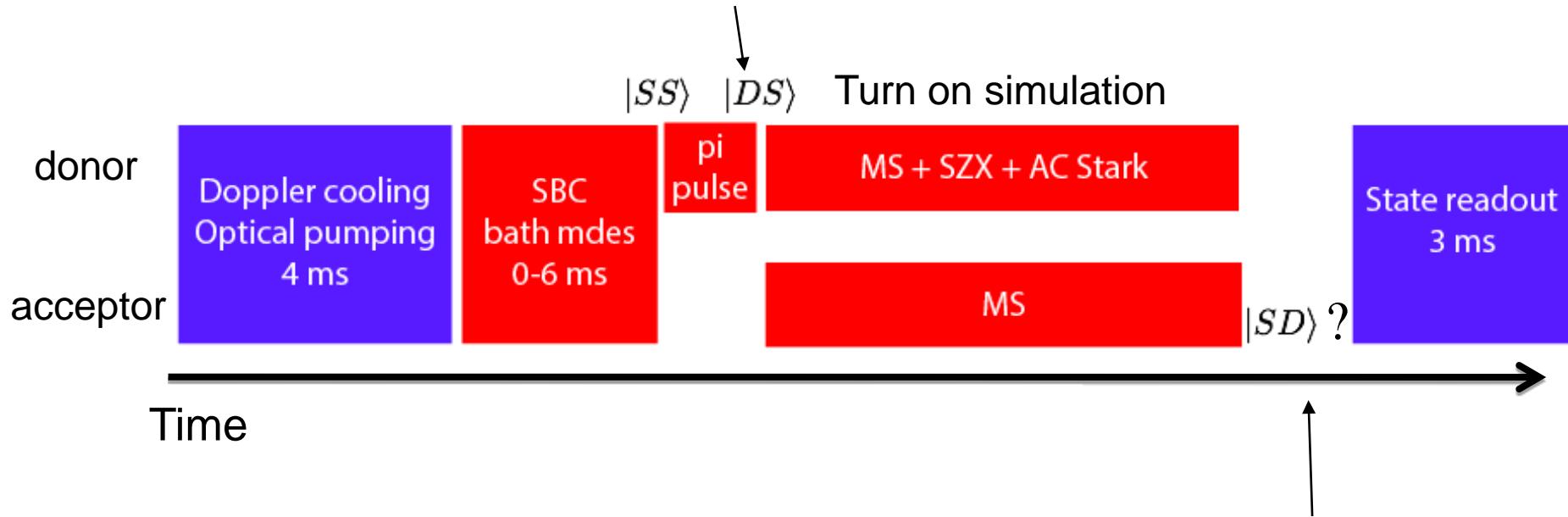
$$H = \frac{J}{2} \sigma_x^1 \sigma_x^2 + \frac{\Delta}{2} \sigma_z^1 + \nu_{\text{eff}} a^\dagger a + \frac{K}{2} \sigma_z^1 (a + a^\dagger)$$

Site-site coupling
Detuning
Spin-bath coupling

Vibrationally
assisted
energy transport

Measurement sequence

Excite the donor



Parameter control

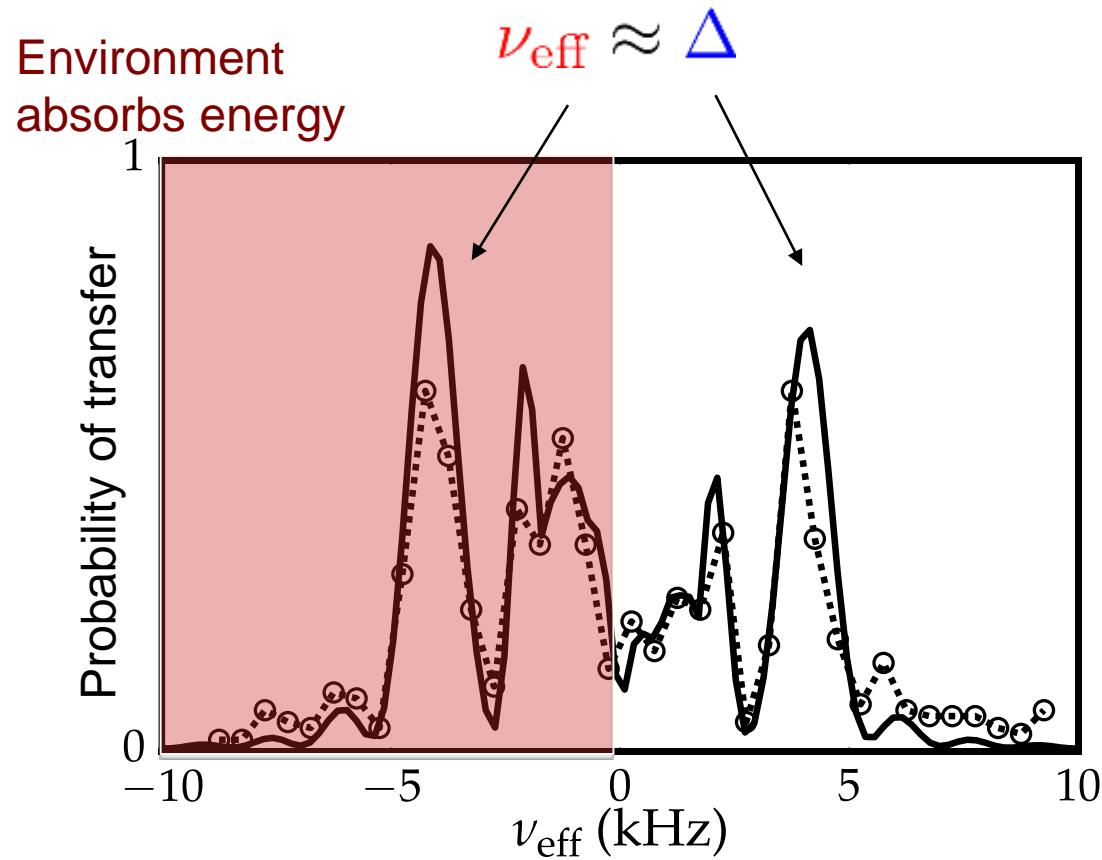
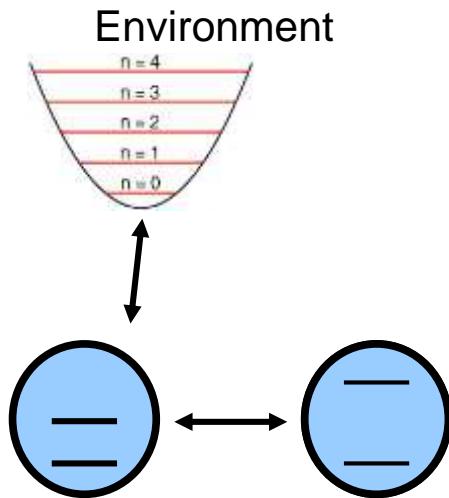
$$\begin{aligned} J &= 1.3 \text{ kHz} \\ K &= 1.4 \text{ kHz} \\ \Delta &= 4 \text{ kHz} \end{aligned}$$

Measure population in acceptor state $|SD\rangle$

$$H = \frac{J}{2}\sigma_x^1\sigma_x^2 + \frac{\Delta}{2}\sigma_z^1 + \frac{K}{2}\sigma_z^1(a + a^\dagger) + \nu a^\dagger a$$

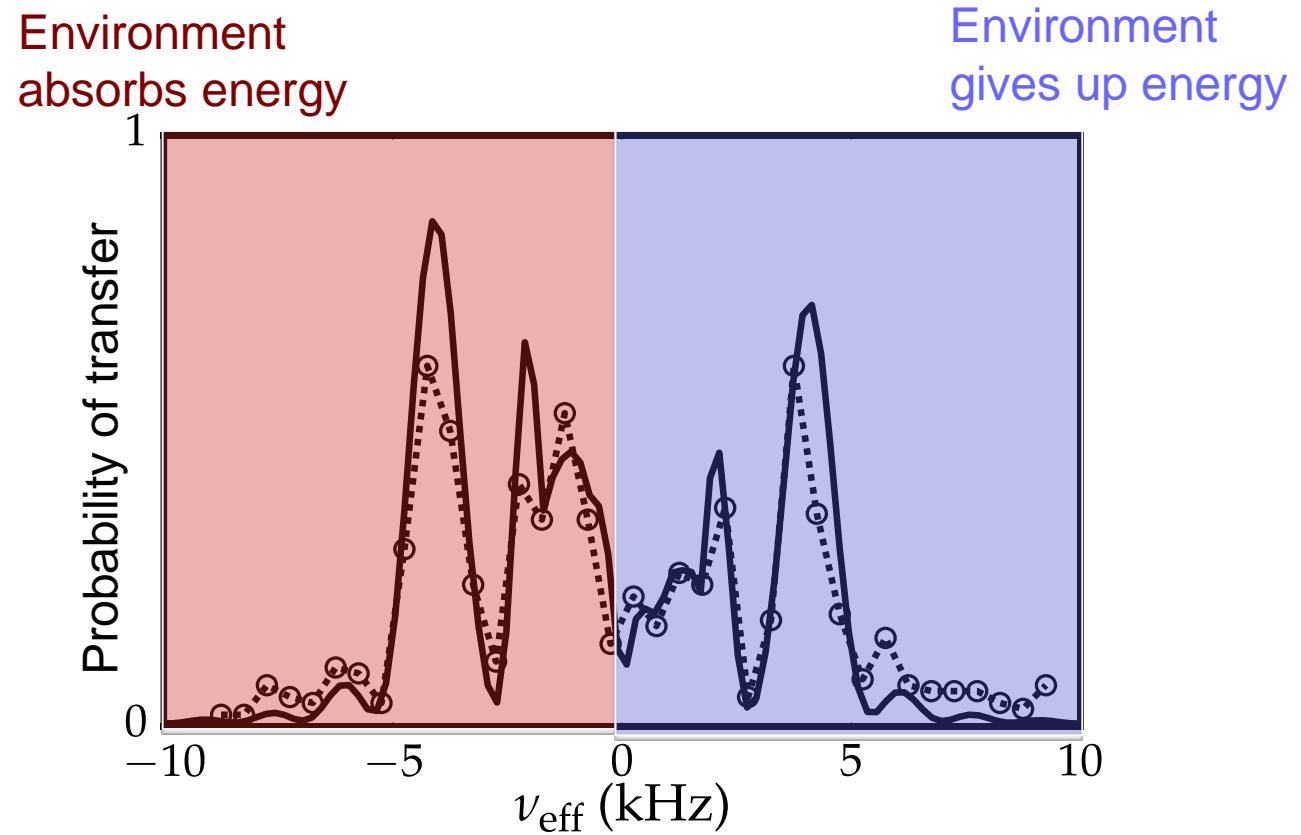
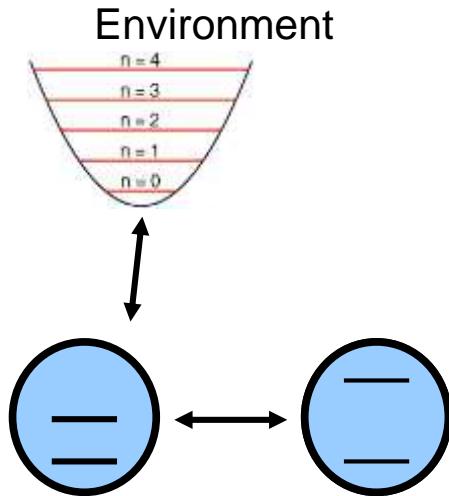
Gorman *et al.*, PRX8,
011038 (2018)

Result



Gorman *et al.*, PRX8,
011038 (2018)

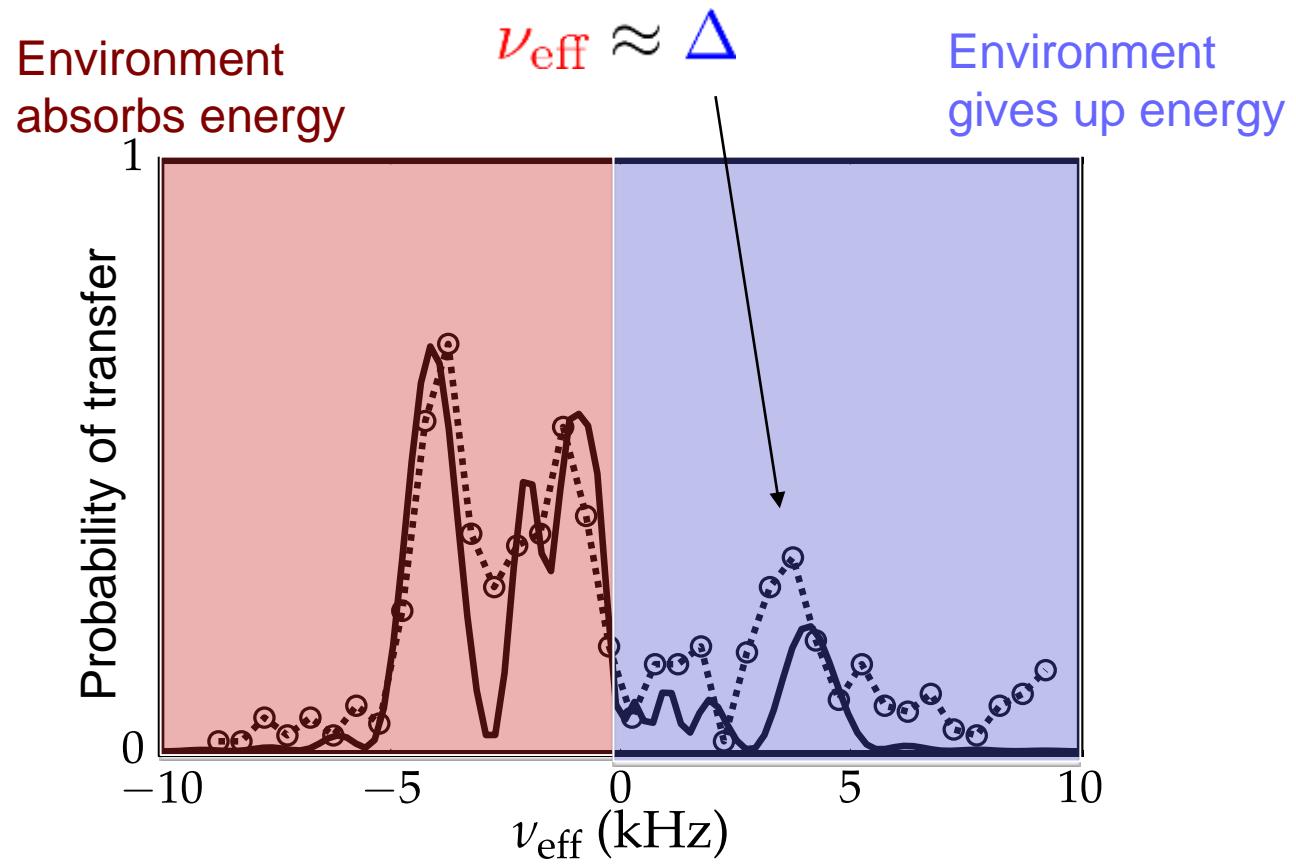
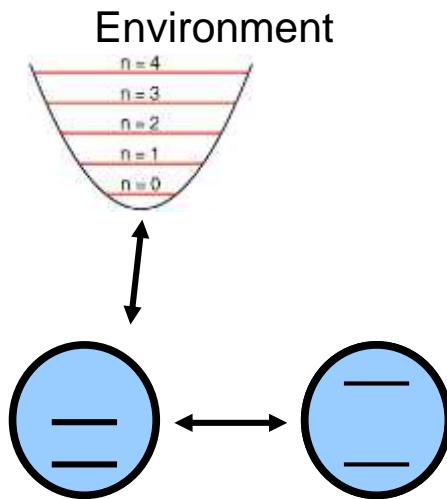
Result



Gorman *et al.*, PRX8,
011038 (2018)

Result

Temperature reduced from $\langle n \rangle = 5$ to $\langle n \rangle = 0.5$

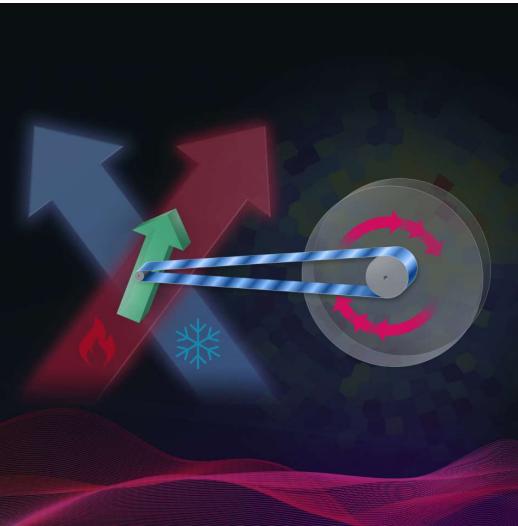


Related work with SC: Potočnik *et al.*, Nat. Comm **9**, 904 (2018)

Gorman *et al.*, PRX**8**, 011038 (2018)

Quantum thermodynamics with ions

- Quantum thermodynamics introduction
- Heat transport
- Phase transitions
- Fluctuation theorem
- Single ion refrigerator
- Heat engines
- Outlook



Dzmitry
Matsukevich



Thermal machines in the quantum world

(Coordination proposal: Research Unit (FOR) 2124/6)



Kihwan
Kim



Hartmut
Häffner



清华大学
Tsinghua University

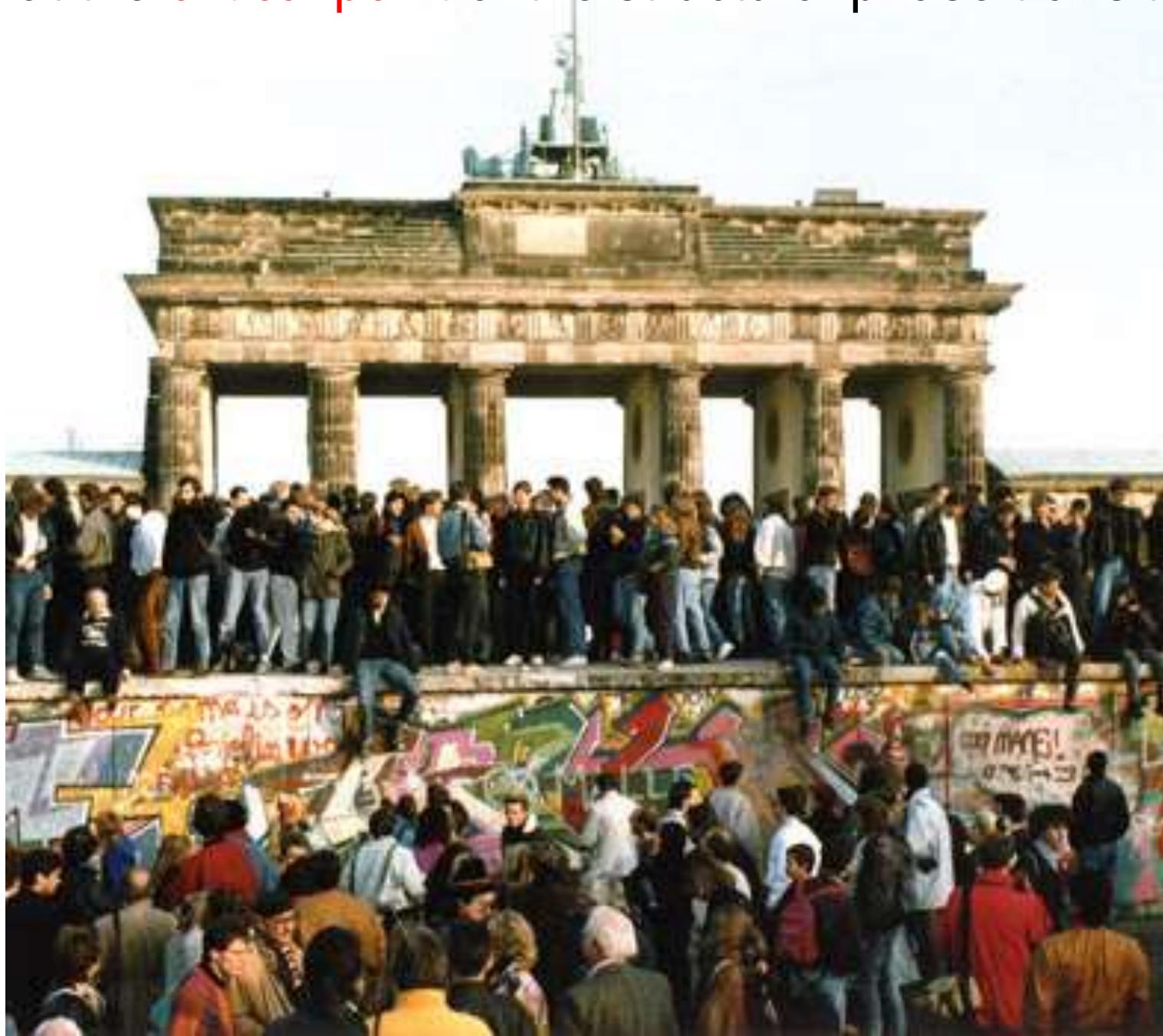


Structural phase transition & defect formation



Germany before phase transition

Berlin at the **critical point** of the structural phase transition

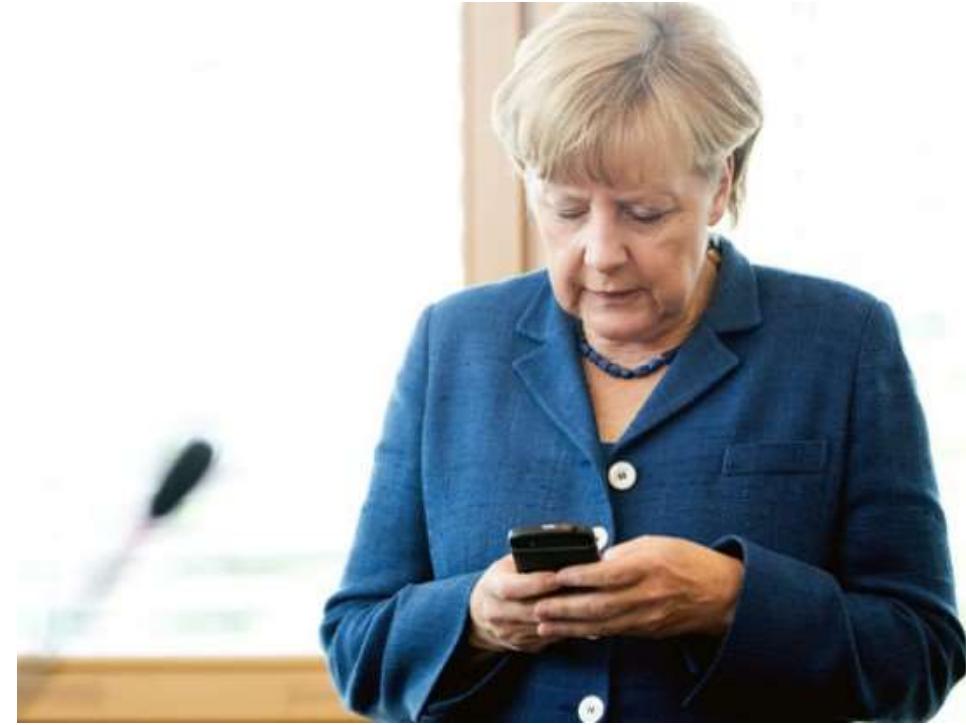


Germany after the structural phase transition



Bundesrepublik Deutschland

Verwaltungsgrenzen (VG2500)



1D, 2D, 3D ion crystals

Wineland et al., J. Res. Natl. Inst. Stand. Technol. 103, 259 (1998)

- Depends on $\alpha = (\omega_{\text{ax}}/\omega_{\text{rad}})^2$
- Depends on the number of ions $a_{\text{crit}} = cN^{\beta}$

Enzer et al., PRL85, 2466 (2000)

1D



- Generate a planar Zig-Zag when $\nu_{\text{ax}} < \nu_{\text{rad}}^y \ll \nu_{\text{rad}}^x$
- Tune radial frequencies in y and x direction

2D

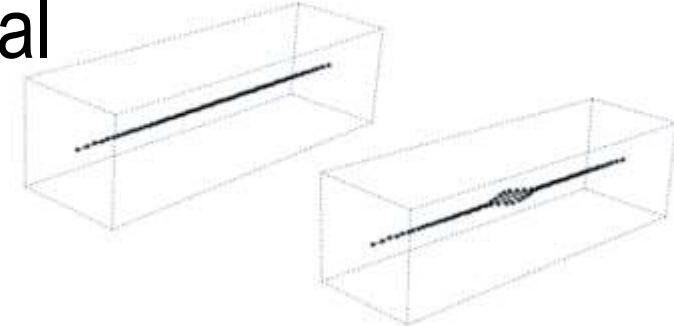


Structural phase transition in ion crystal

$$H = \sum_{i,\mu} \left(\frac{p_{i\mu}^2}{2m} + \frac{1}{2} m \omega_\mu^2 r_{i\mu}^2 \right) + \frac{1}{2} \sum_{i \neq j} \frac{e^2}{4\pi\epsilon_0} \frac{1}{|\mathbf{r}_i - \mathbf{r}_j|}$$

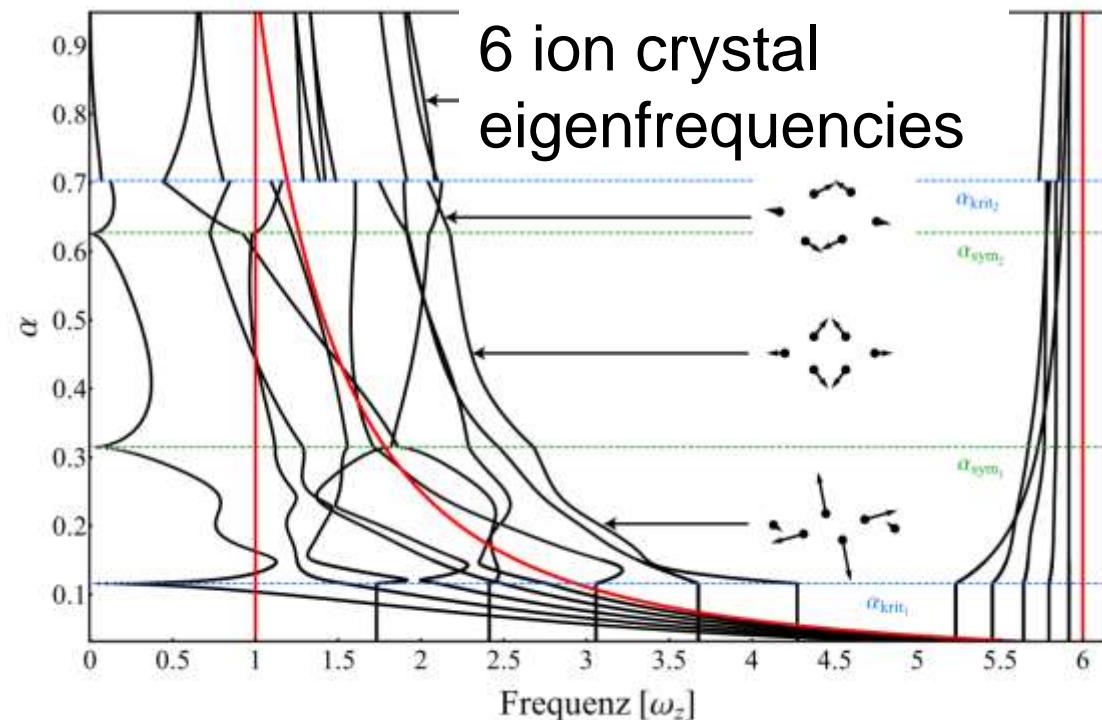
$$E_{\text{kin}} \quad U_{\text{pot,harm.}} \quad U_{\text{Coulomb}}$$

$$H \approx H_0 = \hbar\omega_z \sum_n \sqrt{\gamma_n^x} a_n^\dagger a_n + \sqrt{\gamma_n^y} b_n^\dagger b_n + \sqrt{\lambda_n^z} c_n^\dagger c_n$$



Phase transition @ CP:

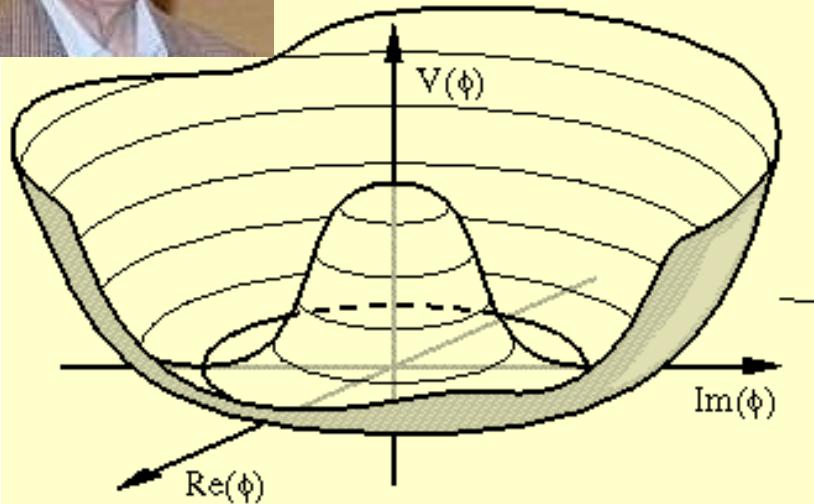
- One mode frequency $\rightarrow 0$
- Large non-harmonic contributions
- coupled Eigen-functions
- Eigen-vectors reorder to generate new structures



Universal principles of defect formation

Kibble (1976)

- symmetry breaking at a second order phase transitions such that topological defects form
- may explain formation of cosmic strings or domain walls



Zurek (1985)

- Sudden quench through the critical point leads to defect formation
- experiments in solid state phys. may test theory of universal scaling

Morigi, Retzger, Plenio (2010)

- Proposal for KZ study in **trapped ions** crystals

Kibble, Journal of Physics A 9, 1387 (1976)

Kibble, Physics Reports 67, 183 (1980)

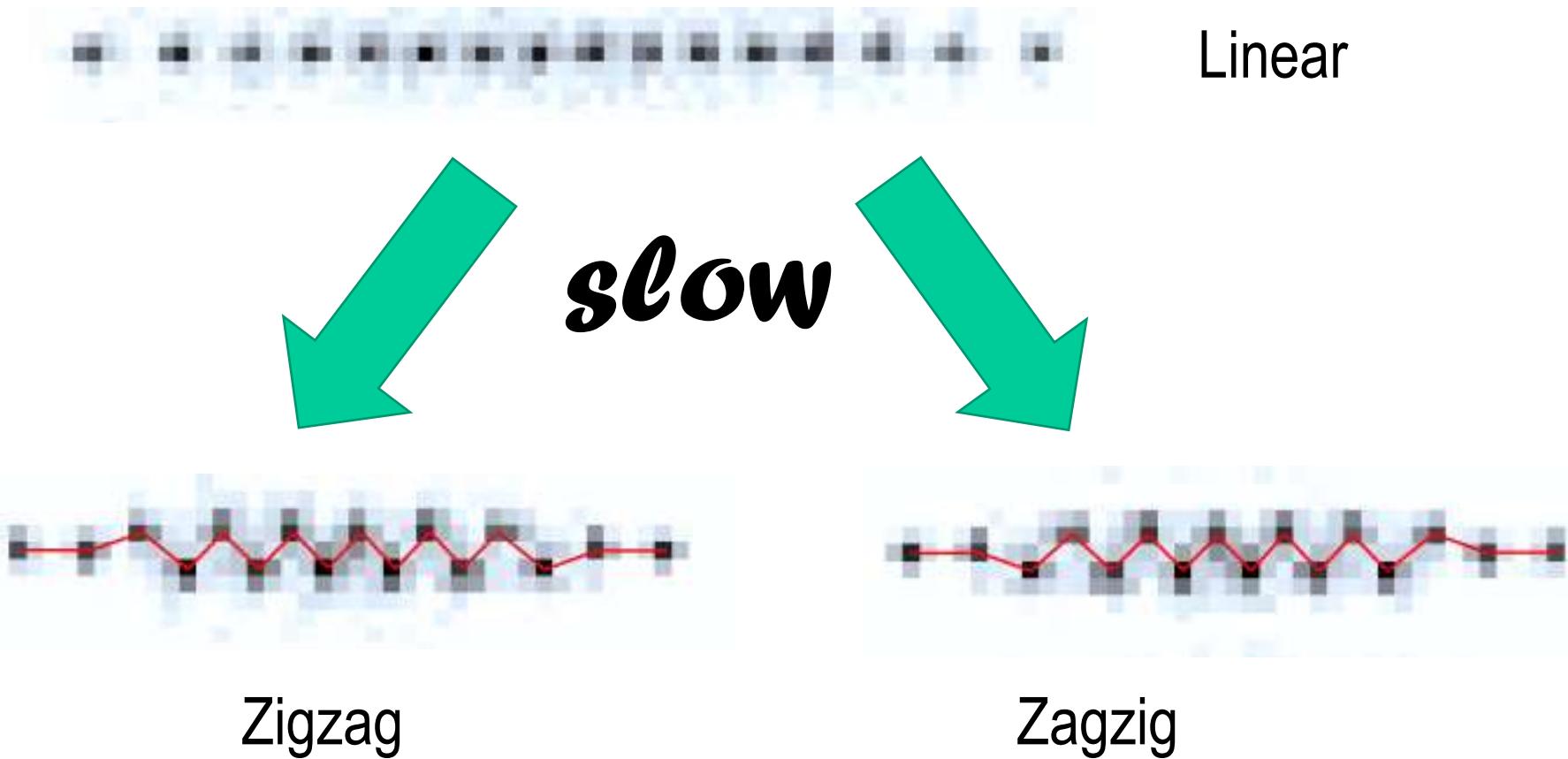
Zurek, Nature 317, 505 (1985),

DelCampo, Zurek arXiv:1310.1600,

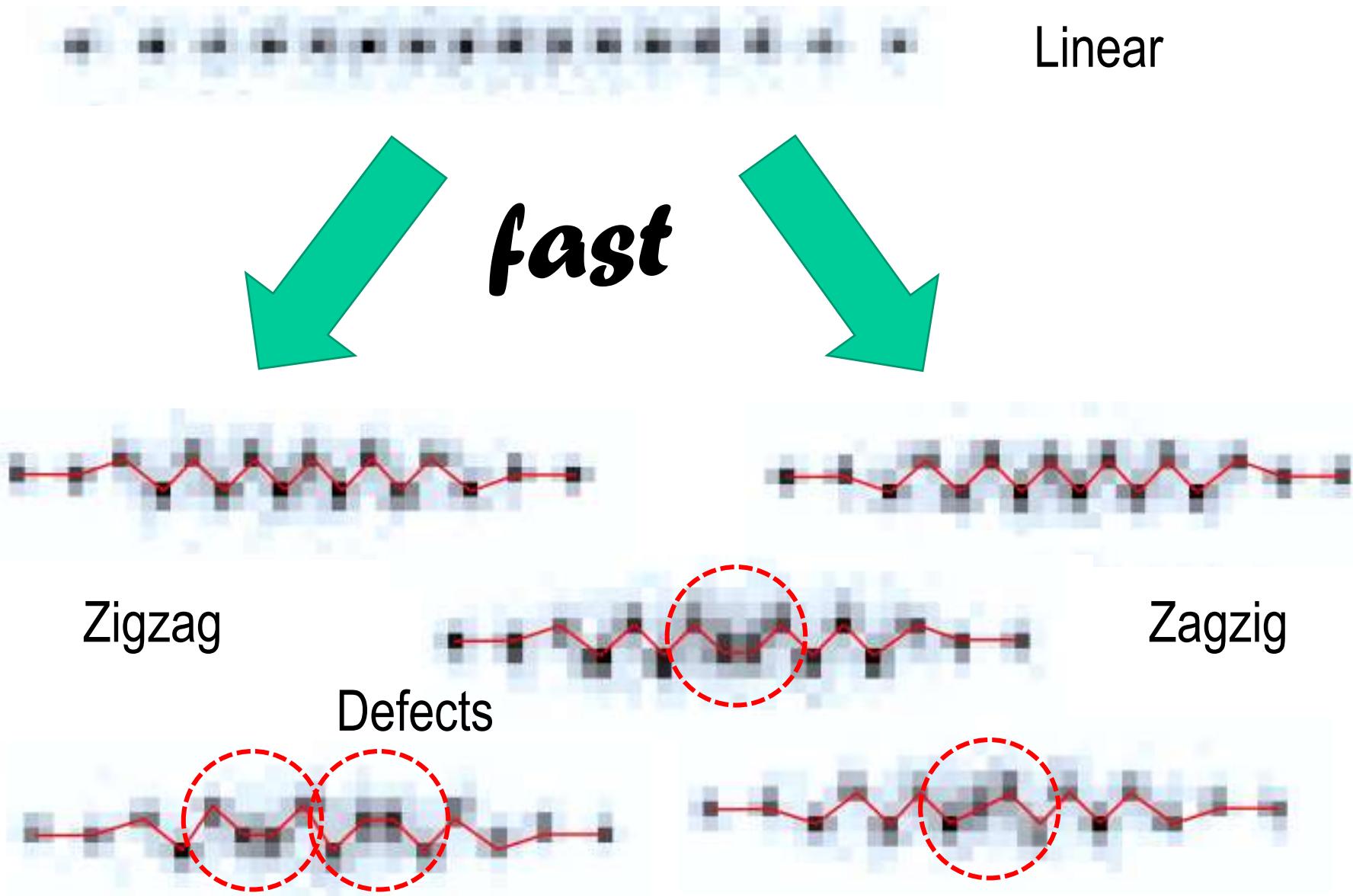
Nikoghosyan, Nigmatullin, Plenio,

arXiv:1311.1543

Structural configuration change in ion crystals

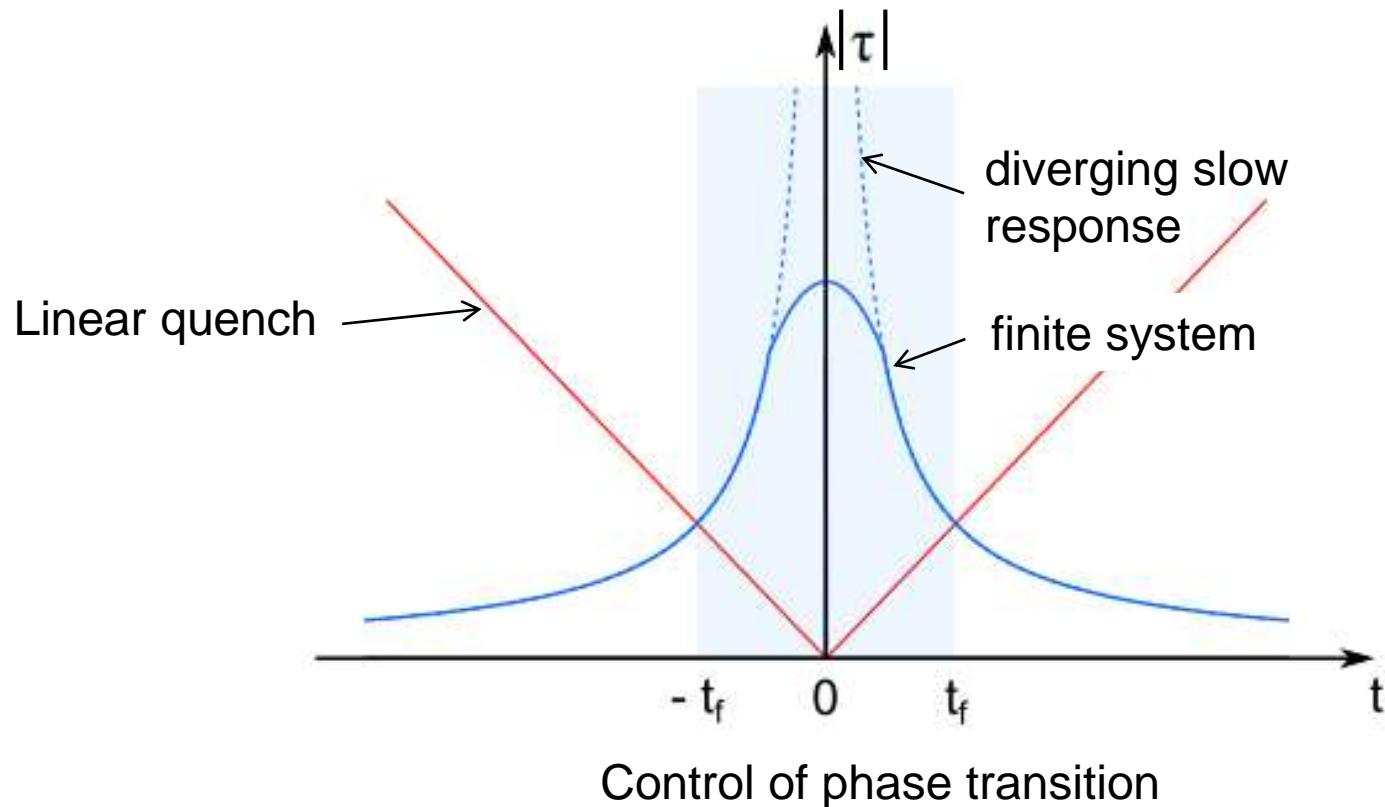


Structural configuration change in ion crystals

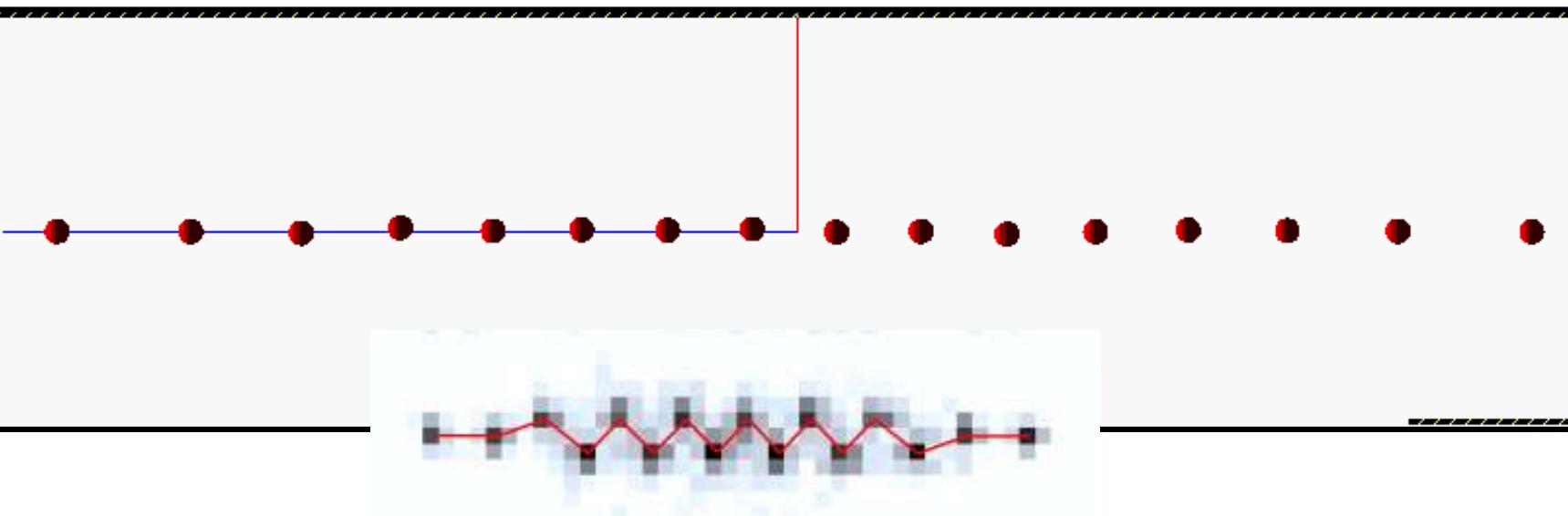
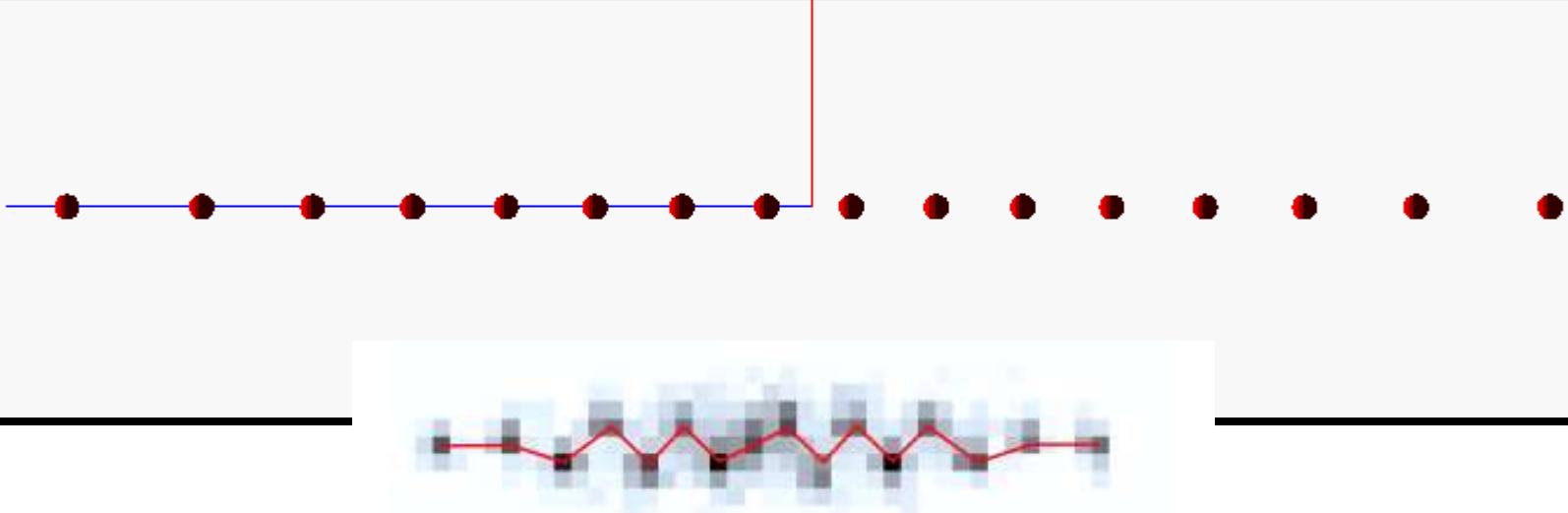


Universal principles of defect formation

- System response time, thus information transfer, slows down
- At some moment, the system becomes non-adiabatic and freezes
- Relaxation time diverges / increases



Molecular dynamics simulations

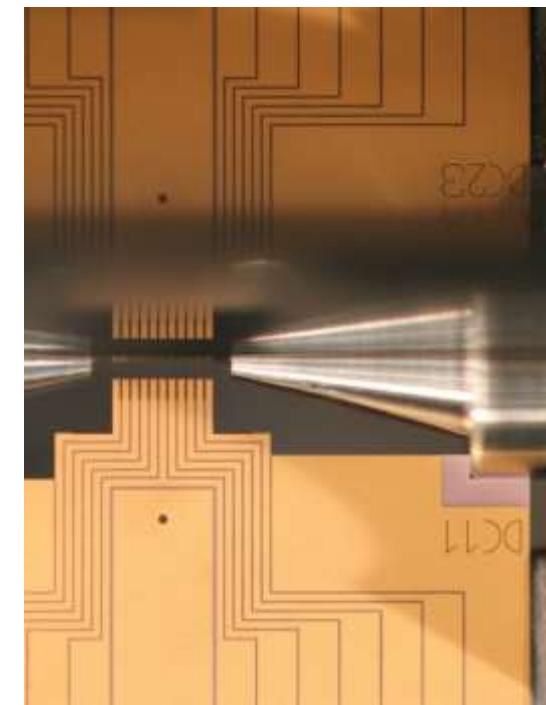
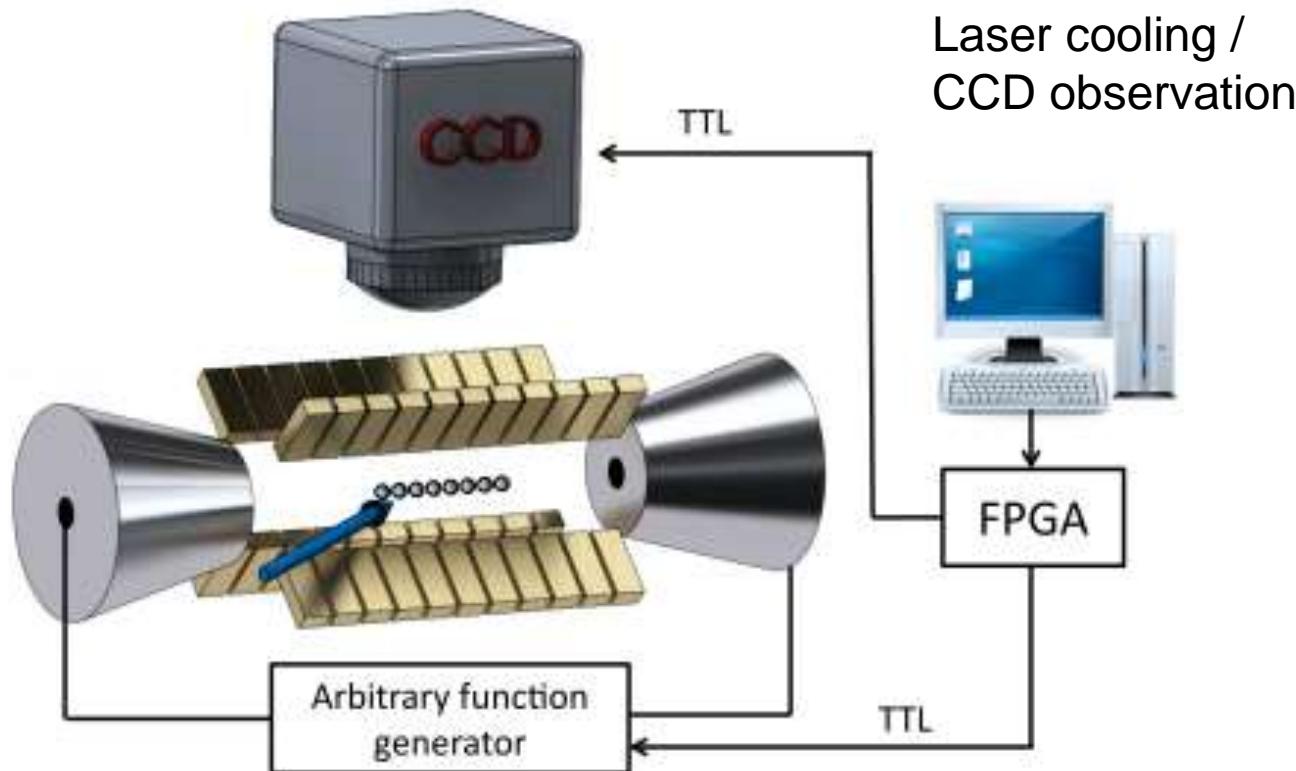


Experimental setup and parameters

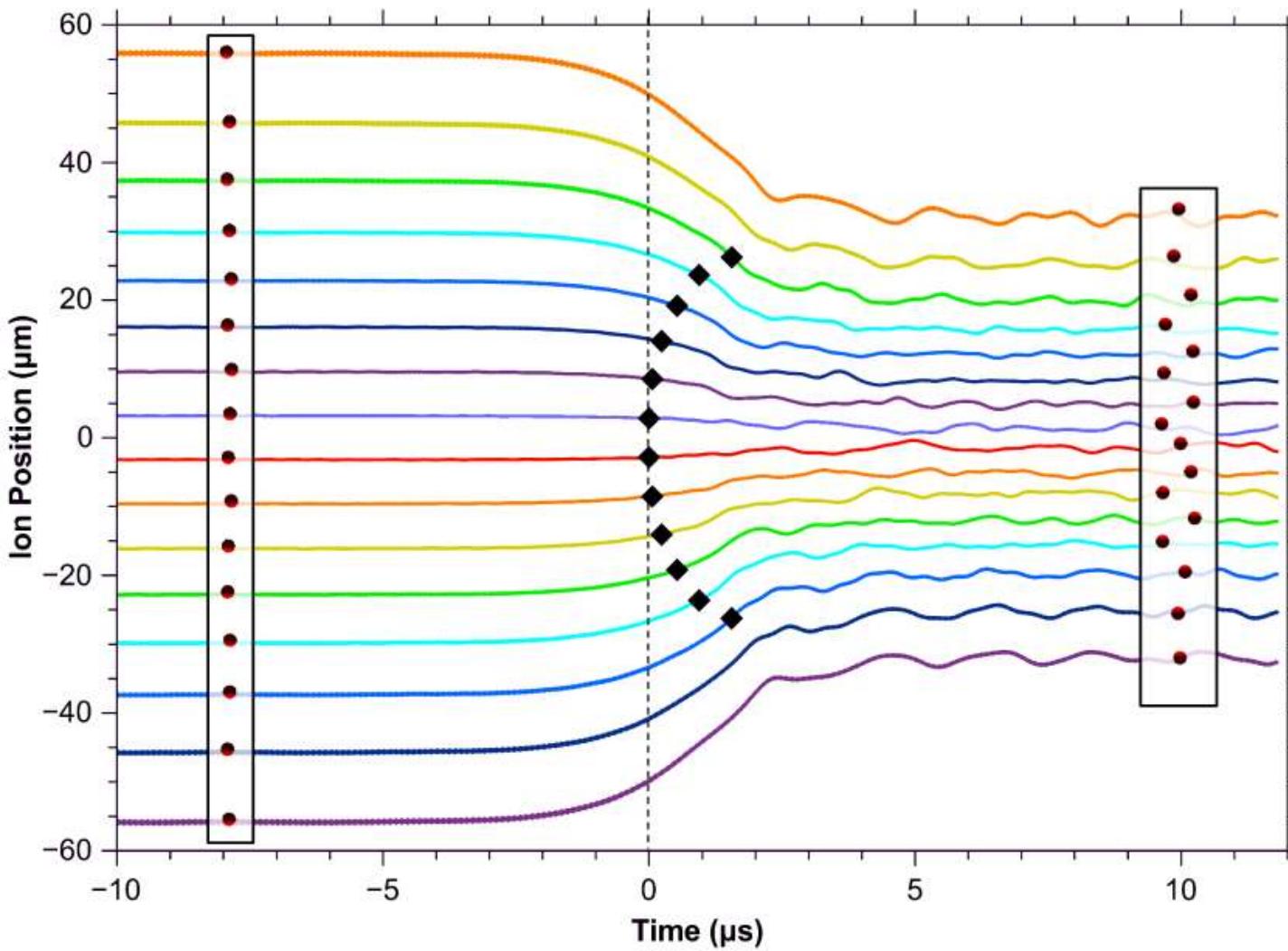
Trap with 11 segments

Controlled by FPGA and arbitray waveform gen.

$\omega/2\pi = 1.4\text{MHz}$ (rad.),
rad. anisotropy tuned to $100 +3..5\%$
 $\omega/2\pi = 160 - 250\text{kHz}$ (ax.)



Molecular dynamics simulations

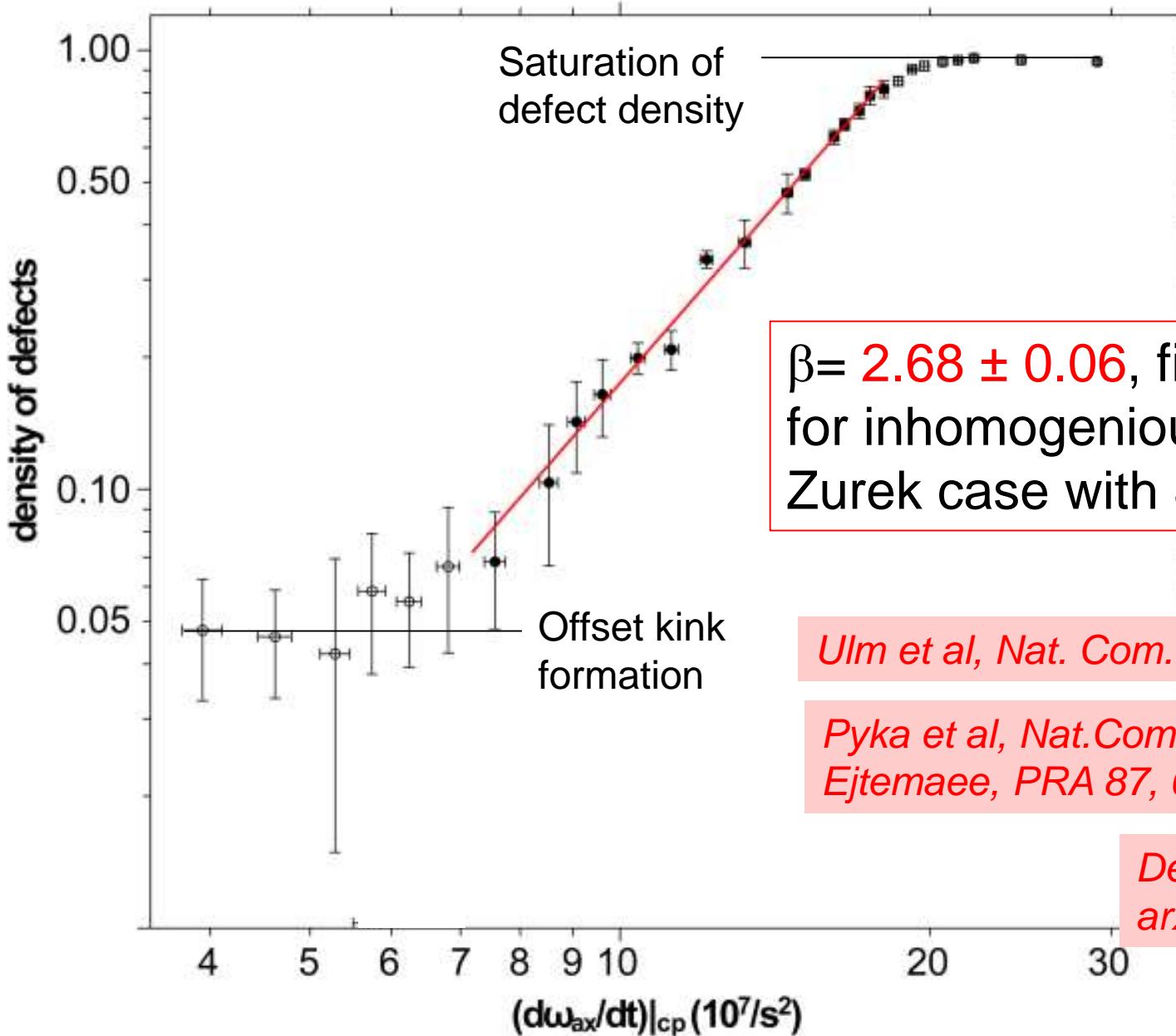


Simulation of
trajectories

Small axial
excitation

No position
flips

Experimental test of the $\beta=8/3$ power law scaling



$\beta = 2.68 \pm 0.06$, fits prediction
for inhomogenous Kibble
Zurek case with $8/3 = 2.66$

Ulm et al, Nat. Com. 4, 2290 (2013)

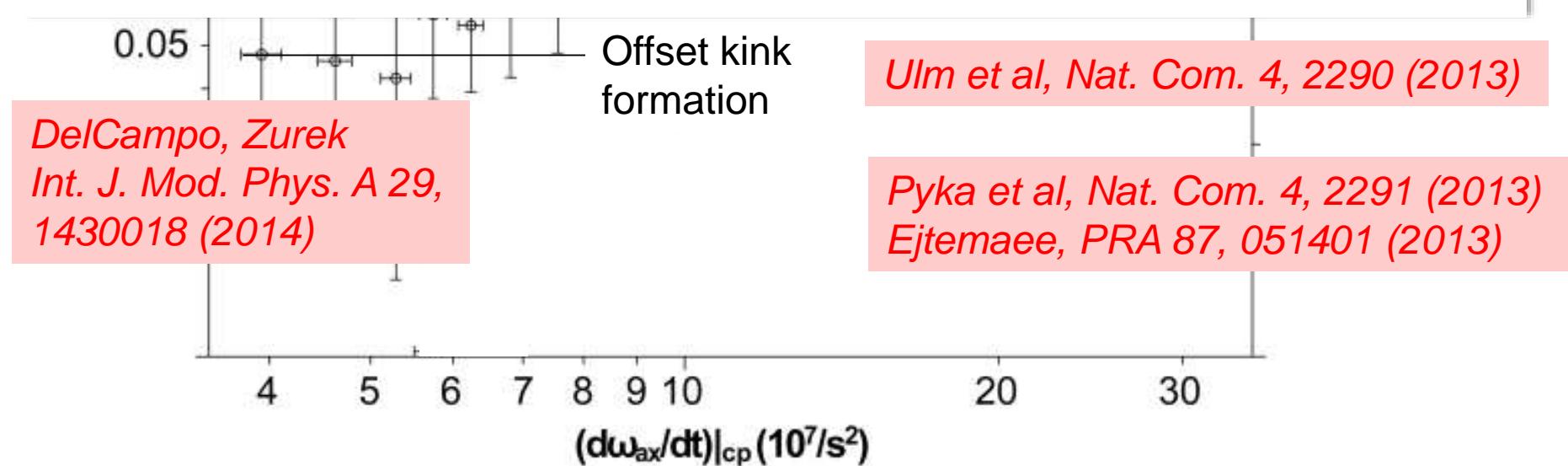
Pyka et al, Nat.Com. 4, 2291 (2013)
Ejtemaee, PRA 87, 051401 (2013)

*DelCampo, Zurek
arXiv:1310.1600*

Experimental test of the $\beta=8/3$ power law scaling

Table 1. Experimental results on the topological defect formation in ion Coulomb crystals.^{13–15} Data was fitted to a power-law in the quench rate τ_Q of the form $n \propto \tau_Q^{-\alpha}$.

Group	Number of ions	Kink number	Fitted exponent α
Mainz University ¹⁴	16	{0, 1}	2.68 ± 0.06
PTB ¹⁵	29 ± 2	{0, 1}	2.7 ± 0.3
Simon Fraser University ¹³	42 ± 1	{0, 1}	$2.1 - 3.1$



Experimental testing of fluctuation theorem at the quantum limit

- Work distribution measured with RNA
- Proposal for a test of Jarzynski equ. with a single ion
- Experimental realization – work distribution measured

Jarzynski, PRL 78, 2690 (1997)
Crooks, PRE 60, 2721 (1999)

Liphardt, et al.,
Sci. 296 (2002) 1832

Huber et al., PRL
101, 070403 (2008)



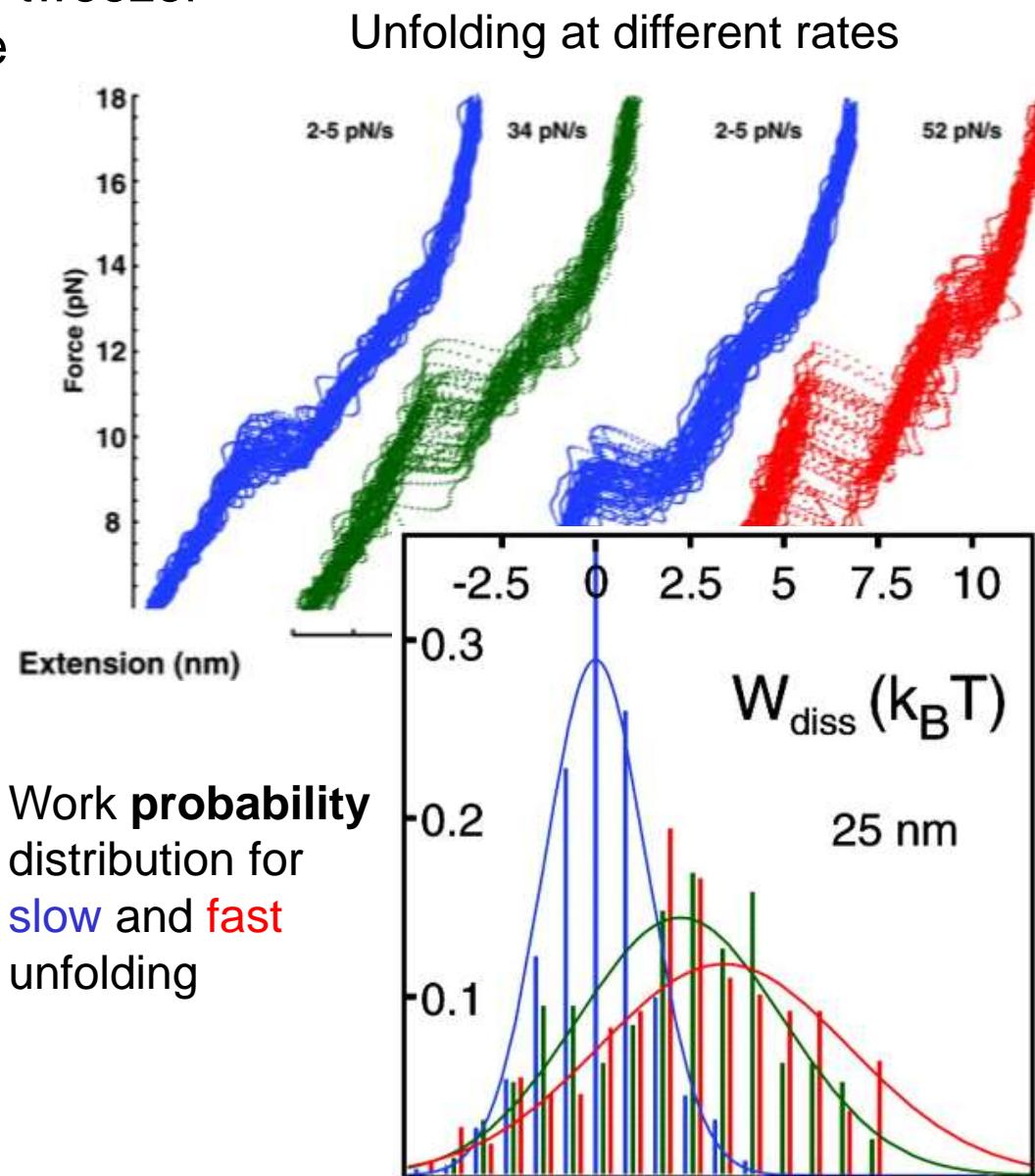
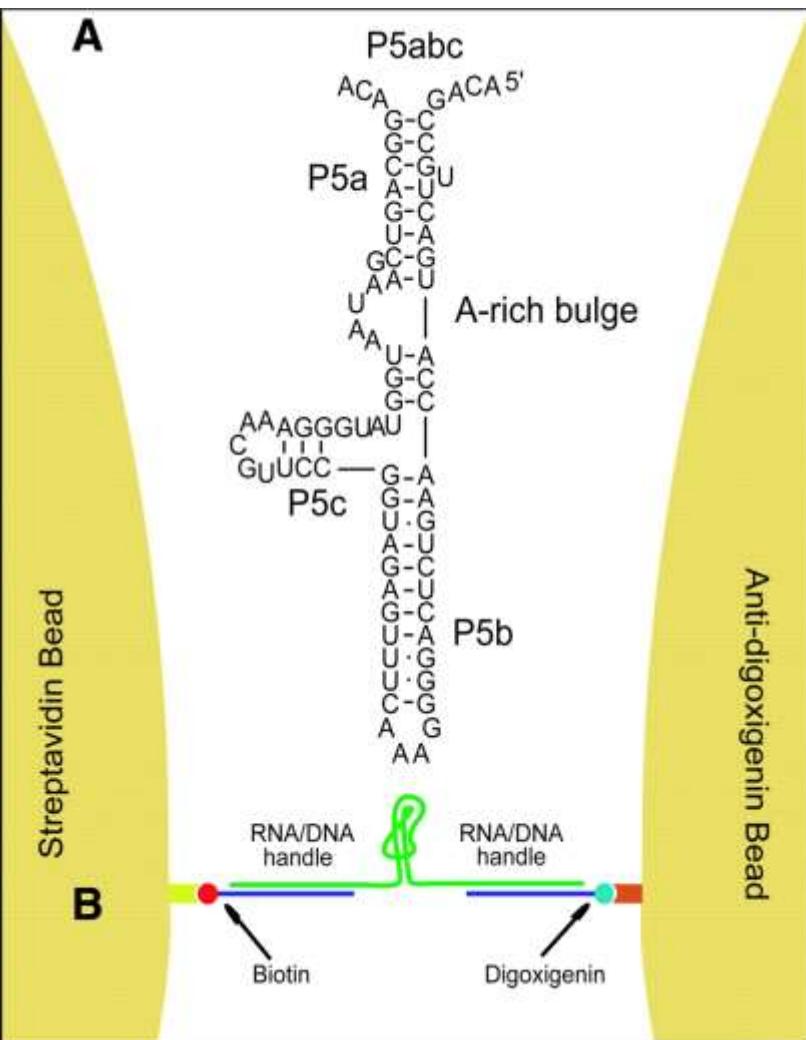
清华大学
Tsinghua University

An et al., Nat.
Phys. 11, 193 (2015)

Kihwan
Kim

Single molecule stretching

Attach RNA to glass bead of laser tweezer
unfold/refold single RNA molecule



Single molecule stretching

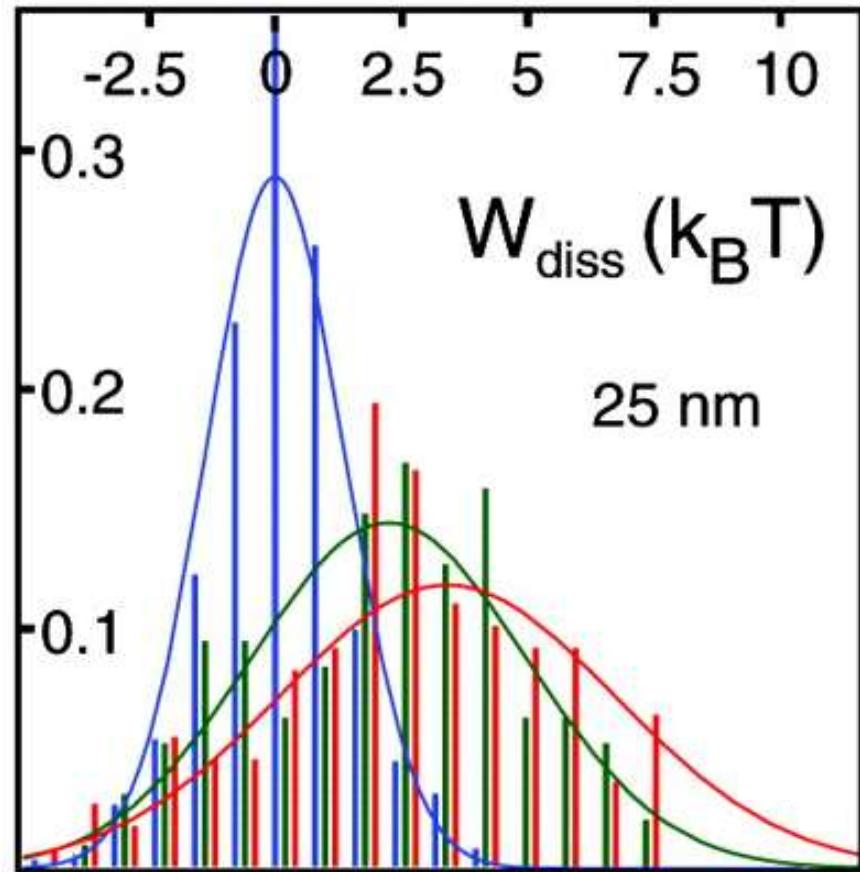
Attach RNA to glass bead of laser tweezer
unfold/refold single RNA molecule

Work **probability**
distribution for
slow and **fast**
unfolding

Crooks fluctuation theorem:

$$\frac{P(-W)}{P(+W)} = \exp^{-W/k_B T}$$

Verify Crooks fluctuation
theorem experimentally



quantum Jarzynski equality

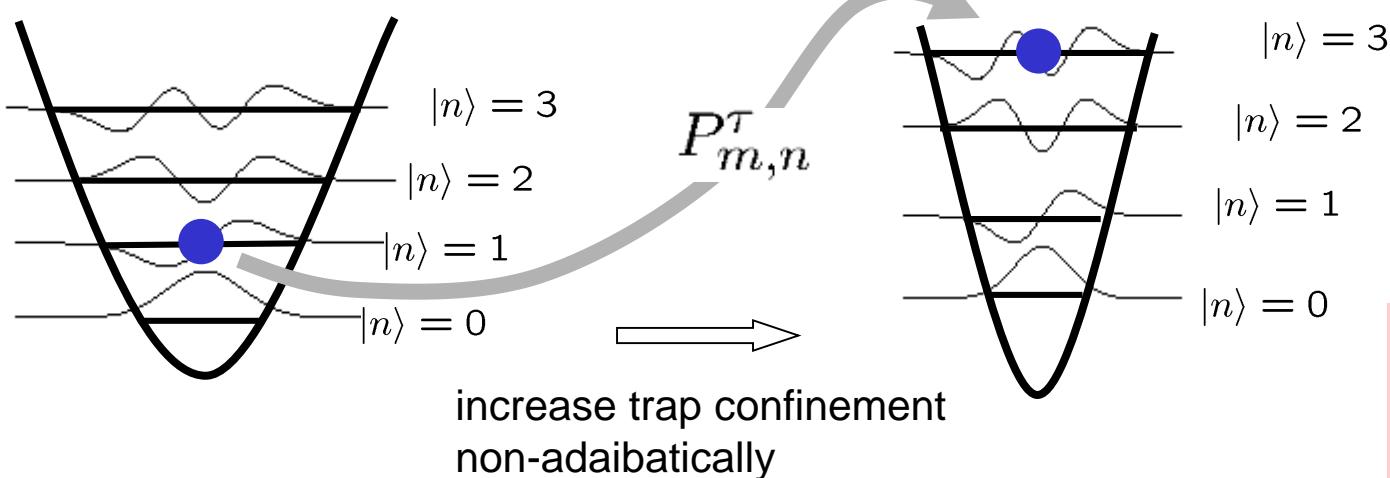
$$\Delta F = -k_B T \ln \langle e^{-W/k_B T} \rangle \quad \text{free energy difference}$$

$$\langle e^{-W/k_B T} \rangle = \int dW e^{-W/k_B T} P(W) \quad \text{average exponented work}$$

$$P(W) = \sum_{m,n} \delta[W - (E_m^\tau - E_n^0)] P_{m,n}^\tau P_n^0 \quad \text{quantum work probility}$$

no expectation value,
but correlation function

Energy difference
Transition probabilities
Thermal occupation



Non-equilibrium phonon States in a Paul trap

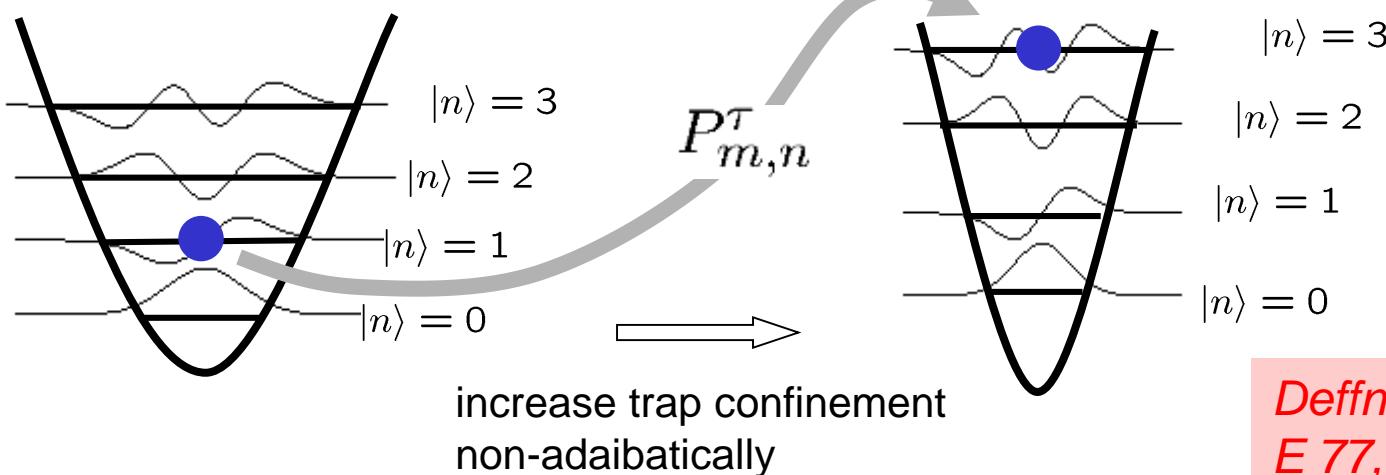
quantum work probability

- Proposed exp. Scheme:**
- 1) Start with thermal state $n=0\dots \sim 10$
 - 2) Determine E^0
 - 3) Act (non-adiabatically) on trap potential
 - 4) Determine E^t

$$P(W) = \sum_{m,n} \delta[W - (E_m^\tau - E_n^0)] P_{m,n}^\tau P_n^0$$

no expectation value,
but correlation function

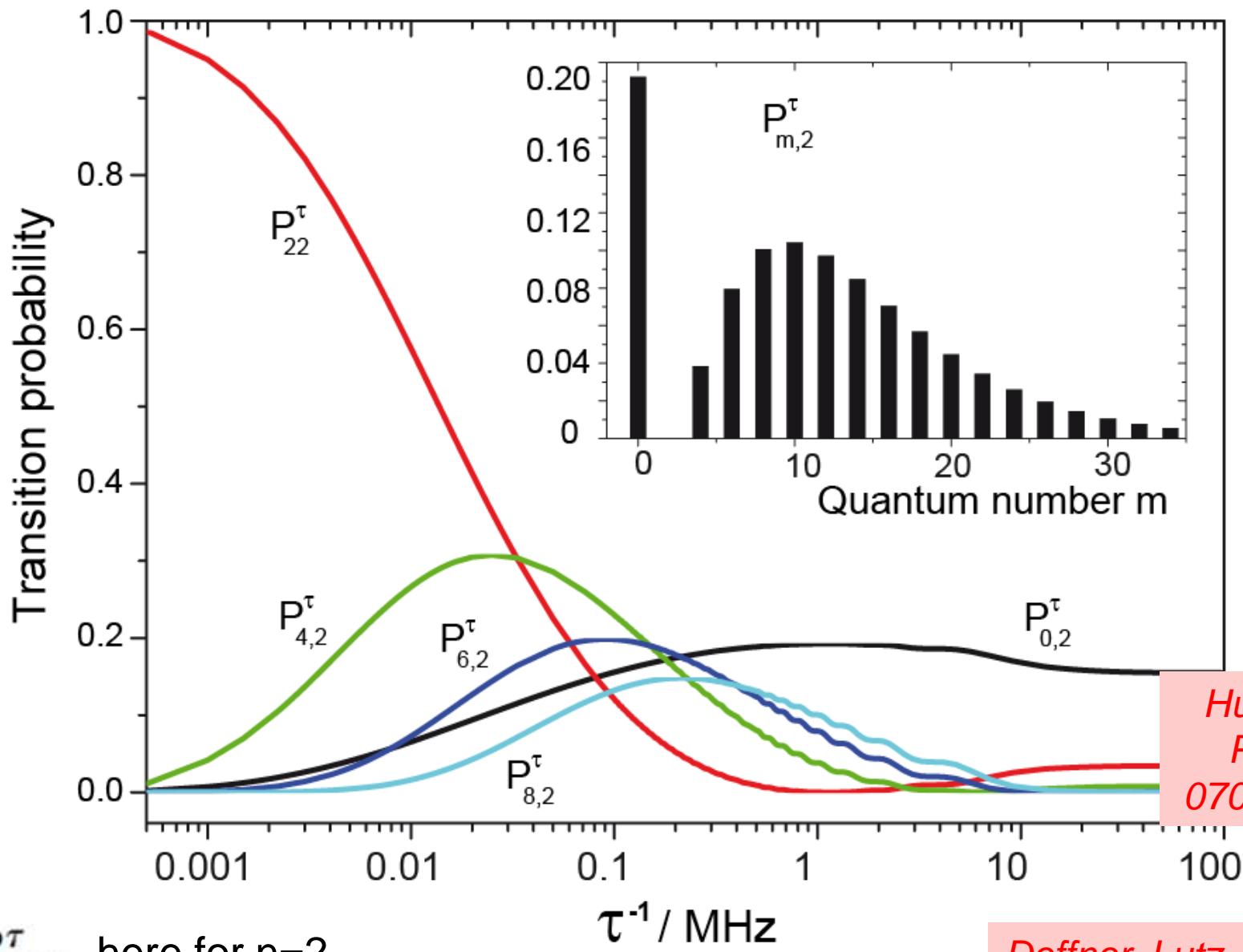
Energy difference
Transition probabilities
Thermal occupation



Huber et al.,
PRL 101,
070403 (2008)

Deffner, Lutz, Phys. Rev.
E 77, 021128 (2008)

Non-equilibrium phonon states



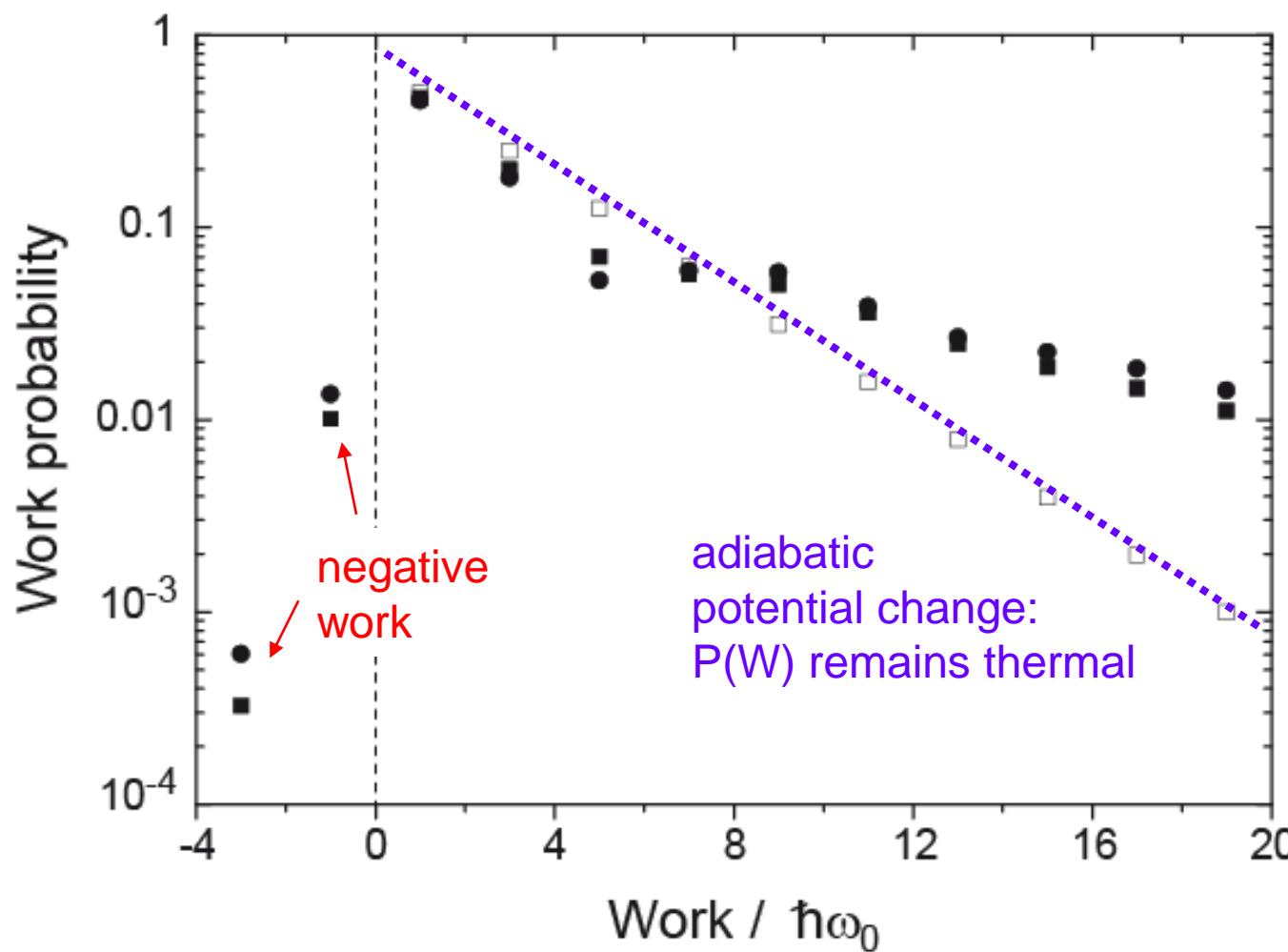
$P_{m,n}^\tau$, here for $n=2$

Huber et al.,
PRL 101,
070403 (2008)

Deffner, Lutz, Phys. Rev.
E 77, 021128 (2008)

Work probability distribution

$$P(W) = \sum_{m,n} \delta[W - (E_m^\tau - E_n^0)] P_{m,n}^\tau P_n^0$$



Change ω from
1MHz to 3MHz

- in $0.1\mu\text{s}$
- in $0.05\mu\text{s}$

Huber et al.,
PRL 101,
070403 (2008)

Provide Work – Displacement Operation

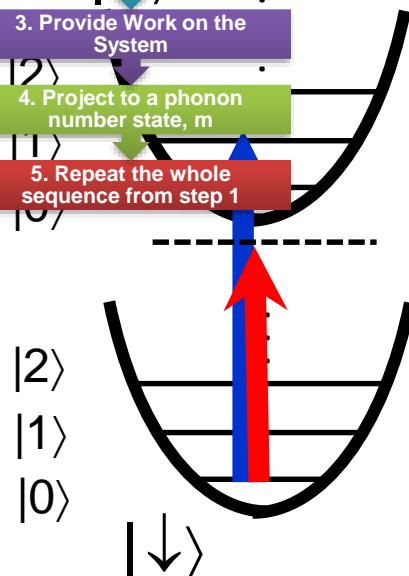
1. Prepare Thermal State

2. Project to a phonon number state, n

3. Provide Work on the System

4. Project to a phonon number state, m

5. Repeat the whole sequence from step 1



σ_x Dependent Displacement Operation

P. C. Haljan et al., Phys. Rev. Lett. 94, 153602 (2005).

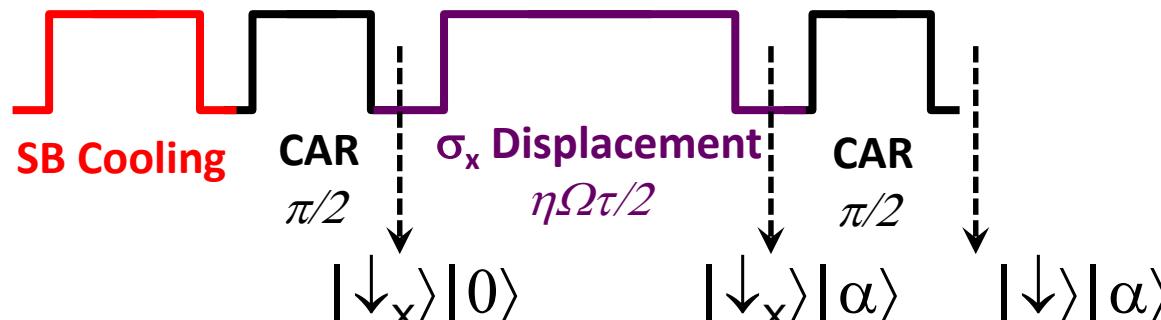
P. J. Lee et al., Journal of Optics B 7, S371 (2005).

$$H_{bsb} = \frac{\eta\Omega}{2} (a^\square \sigma^+ + a \sigma^-)$$

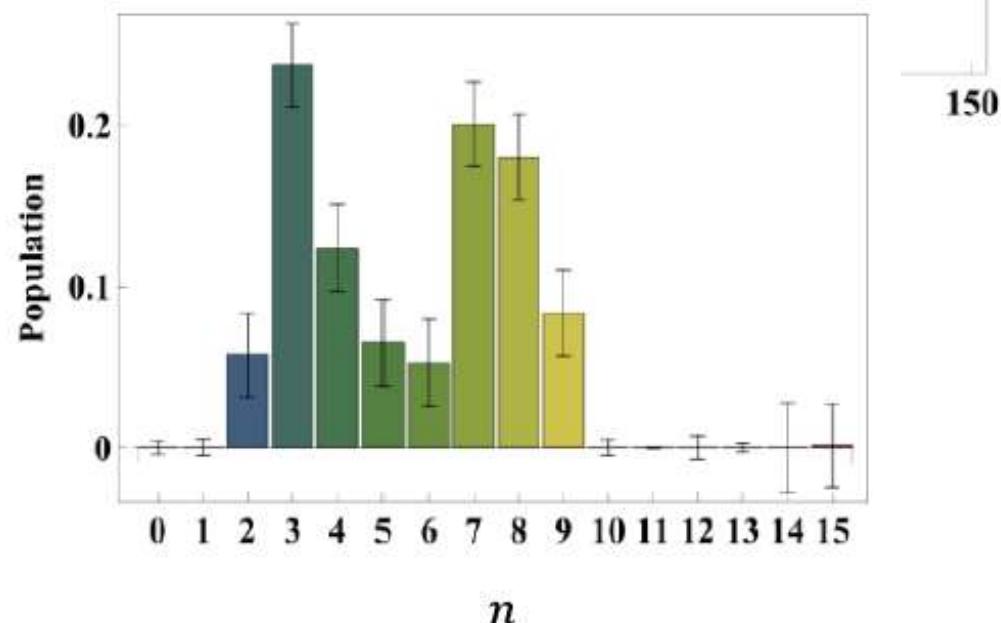
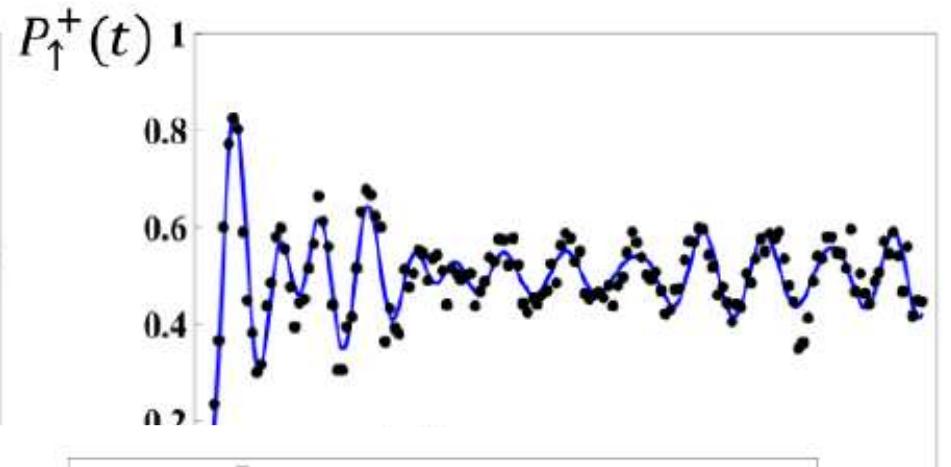
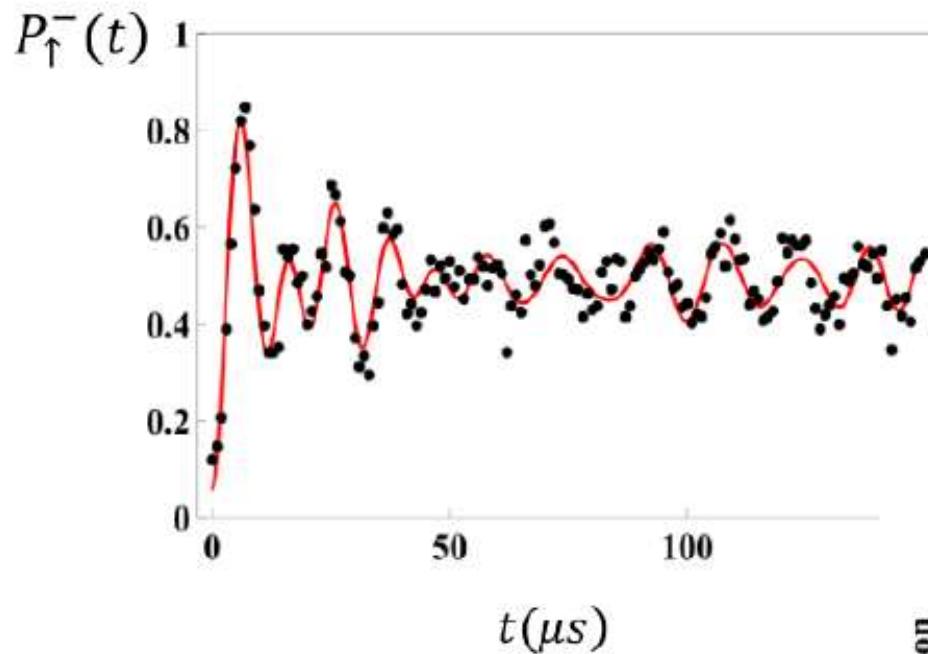
$$H_{rsb} = \frac{\eta\Omega}{2} (a^\square \sigma^- + a \sigma^+)$$

$$H_{bsb} + H_{rsb} = \frac{\eta\Omega}{2} (a^\square + a) \sigma_x$$

Pure Displacement Operation



Final State Measurements – Fitting Methods



1. Prepare Thermal State

2. Project to a phonon number state, n

3. Provide Work on the System

4. Project to a phonon number state, m

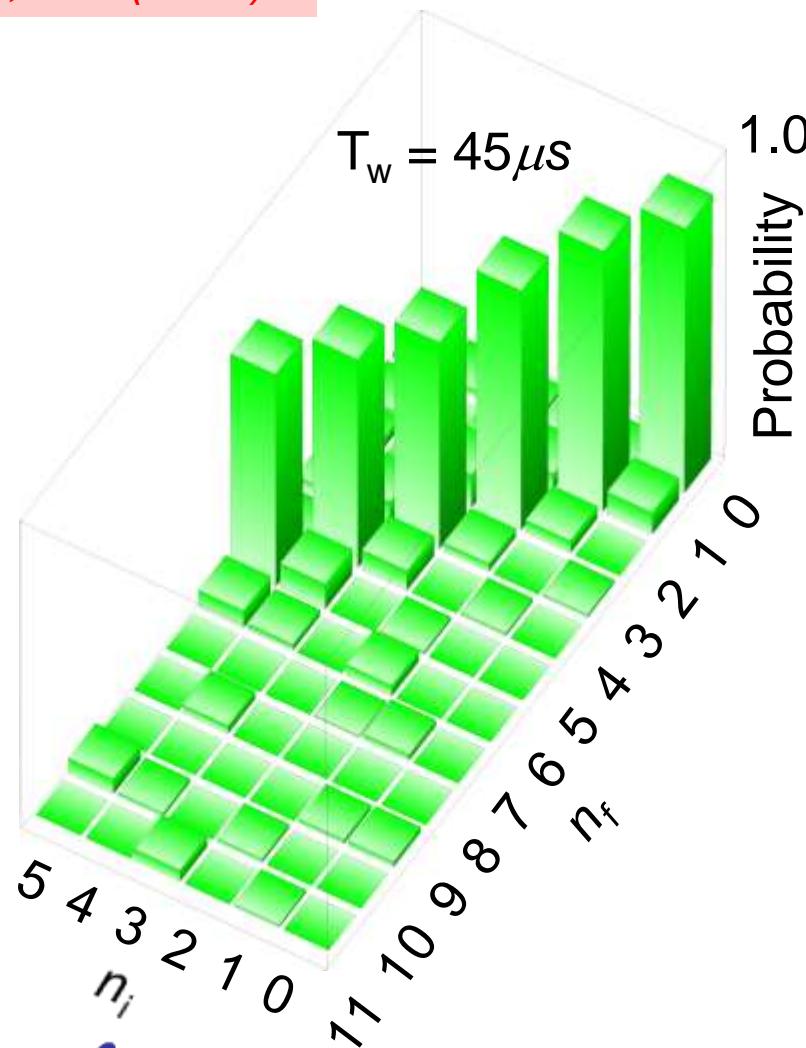
5. Repeat the whole sequence from step 1

An et al., Nat. Phys. 11, 193 (2015)

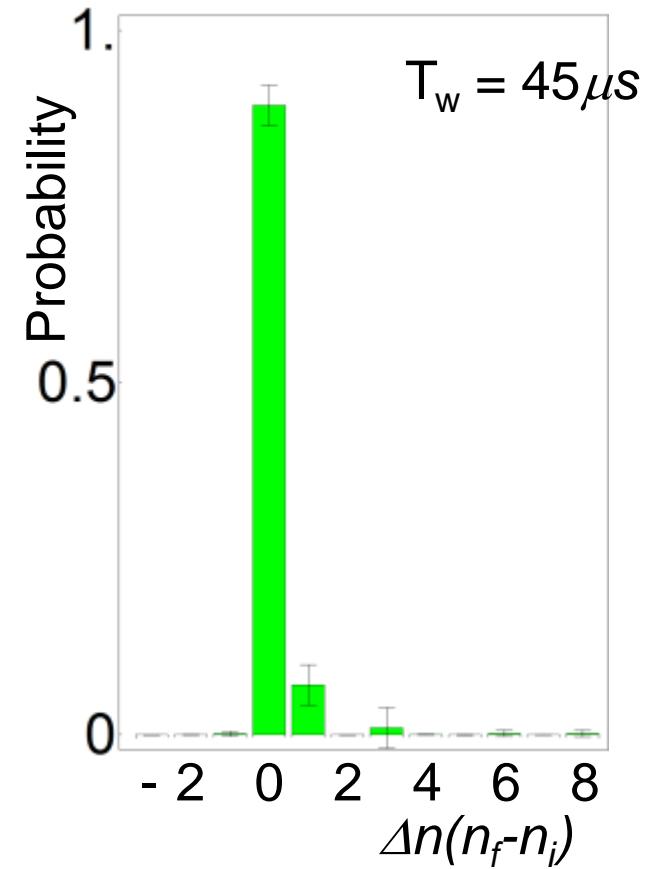


Final State Measurements – Intermediate Work

An et al., Nat.
Phys. 11, 193 (2015)



Dissipated Work Distribution

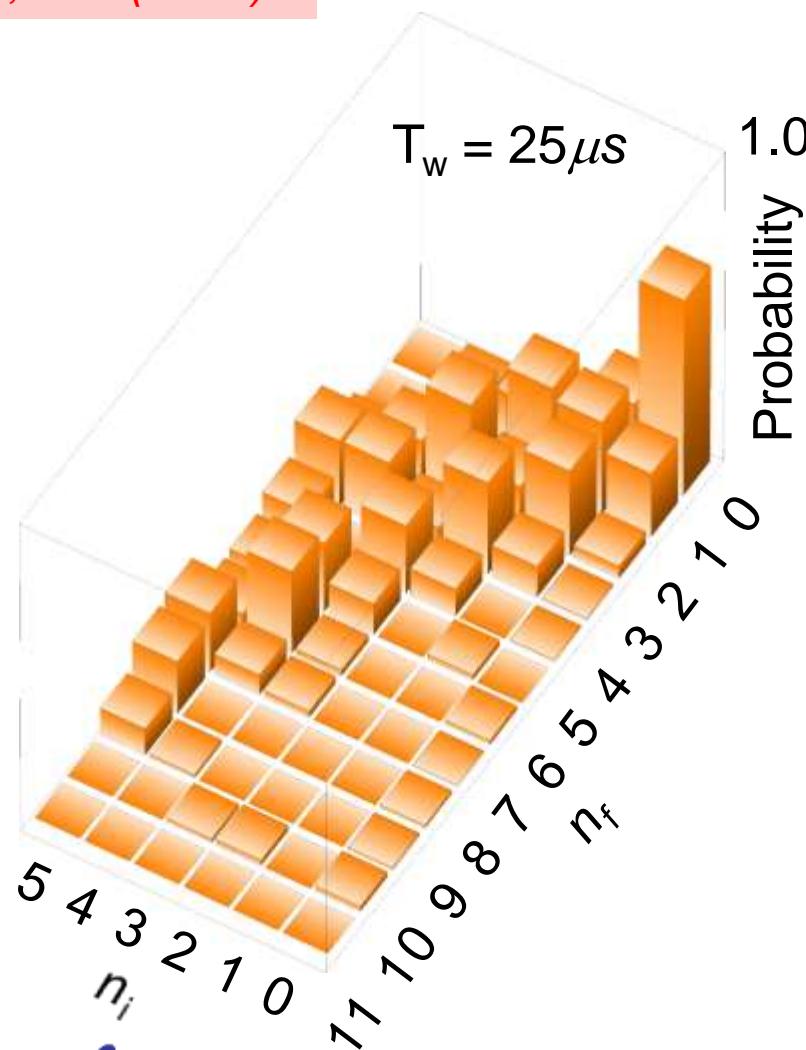


$$\langle e^{-\beta W - \beta \Delta F} \rangle = 0.989 \pm 0.072$$

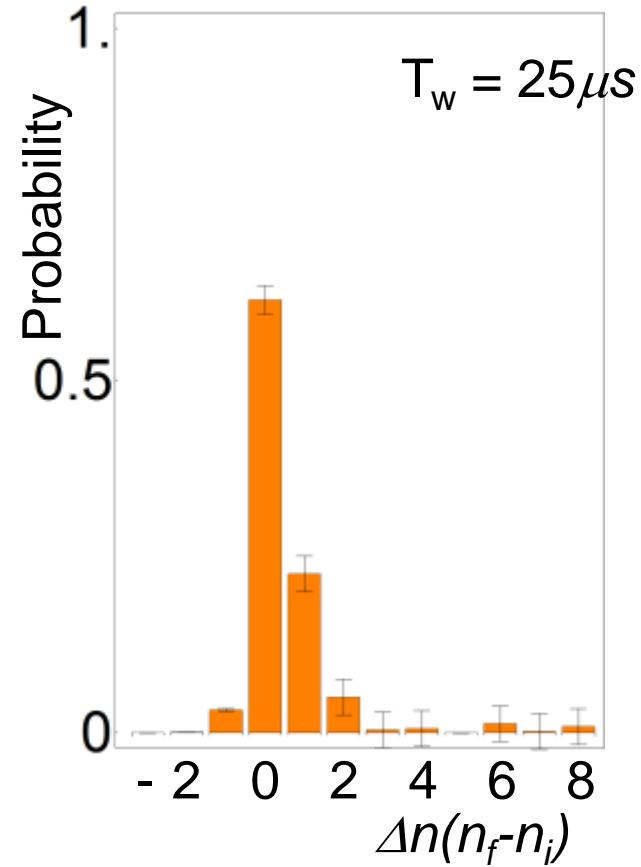


Final State Measurements – Intermediate Work

An et al., Nat.
Phys. 11, 193 (2015)



Dissipated Work Distribution

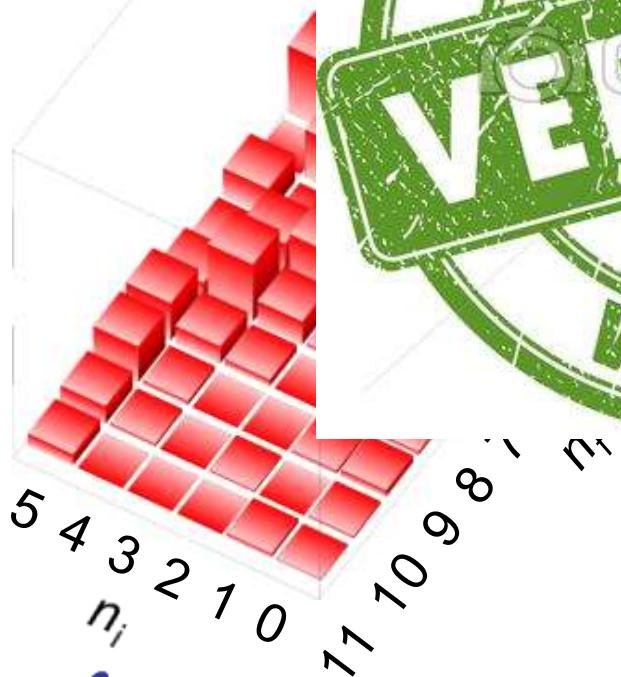


$$\langle e^{-\beta W - \beta \Delta F} \rangle = 0.995 \pm 0.045$$



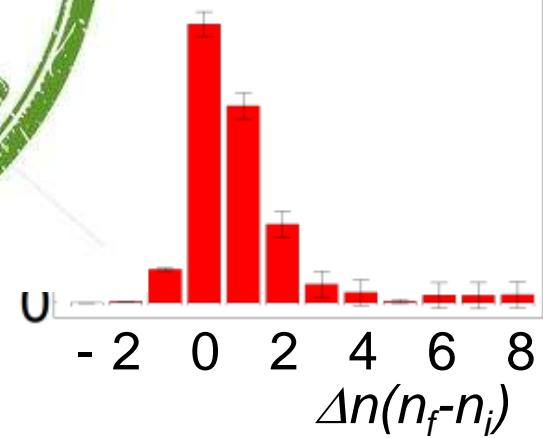
Final State Measurements – Non equilibrium Work

An et al.,
Nat.
Phys. 11,
193 (2015)



Dissipated Work Distribution

$$T_w = 5 \mu\text{s}$$

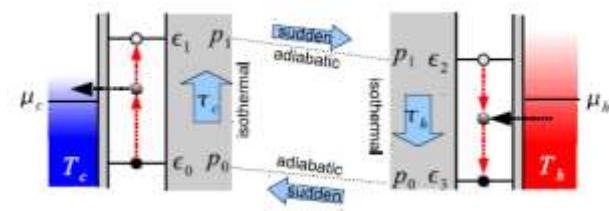
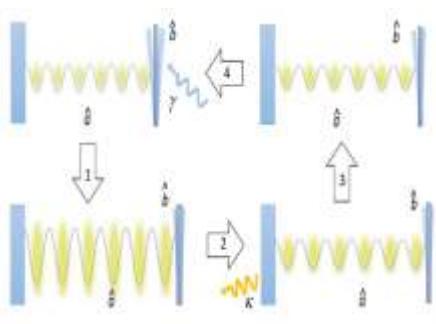


$$\langle e^{-\beta W - \beta \Delta F} \rangle = 1.032 \pm 0.038$$



Proposals for engines

Maser Scovil et al, PRL 2, 262 (1959)



Quantum dot

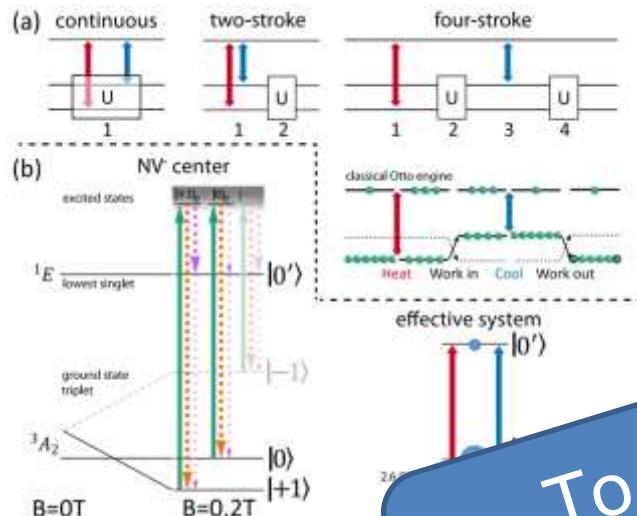
Esposito et al., PRE 81, 041106 (2010)

Three Level System

Geva et al., J Chem Phys (1996)

Quantum Thermodynamics

Gemmer et al, Springer, Lect Notes 784 (2009),
Anders, Esposito, NJP 19, 010201 (2017)

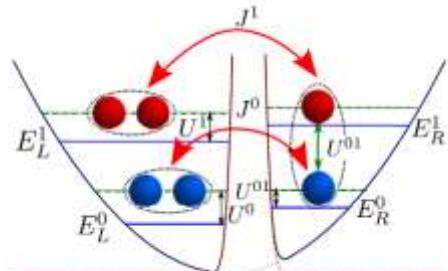


NV Center

Klatzow et al., PRL 122, 110601 (2019)

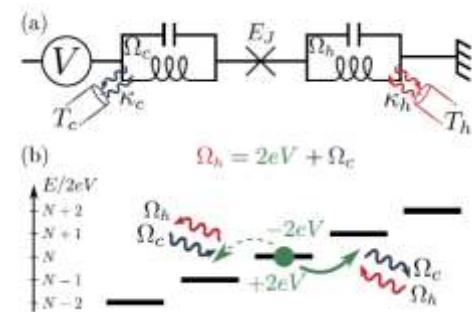
opto-Mechanical

Zhang et al., PRL 112, 150602 (2014)



Cold atoms

Fialko et al., PRL 108, 035303 (2012)



Josephson

Ullah et al., J Appl Phys 117, 174502 (2015)

To few experimental realization
of heat engines in the quantum regime

→ Cottet et al., PNAS 114, 7561 (2017),
Mohammady et al., NJP 19, 113026 (2017)
Strasberg et al., PRX 7, 021003 (2017)

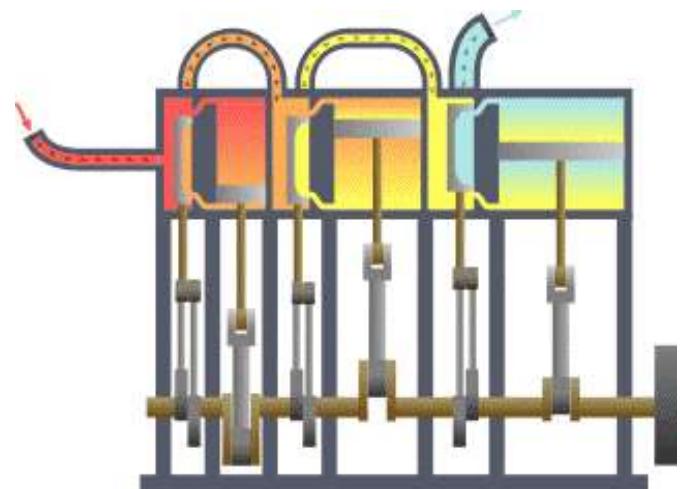
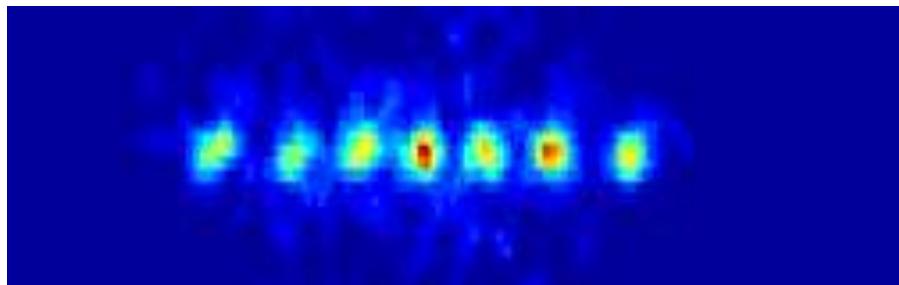
Chang et al., PRL 109, 203006 (2012),
Sci. 352, 325 (2016)

Quantum information driven engines

Cottet et al., PNAS 114, 7561 (2017),
Mohammady et al., NJP 19, 113026 (2017)
Strasberg et al., PRX 7, 021003 (2017)

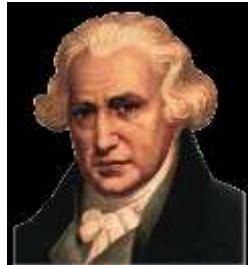
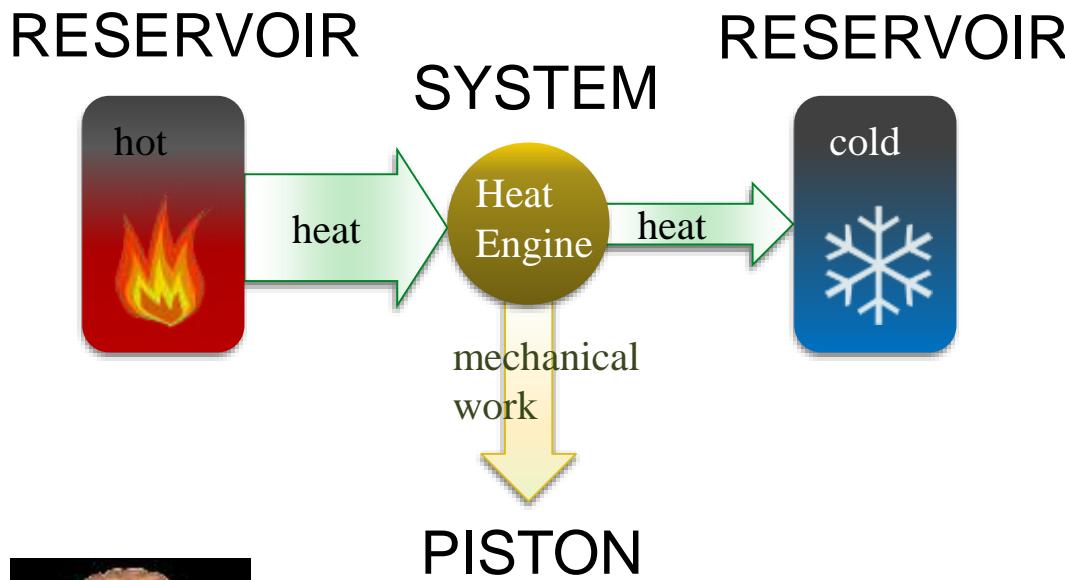
Heat engines

- single-ion **Otto heat engine** – classical operation
- **autonomous** heat engine – study phase stability
- absorption **refrigerator**
- **spin-driven** heat engine in the quantum regime – quantum motion
- *future*: multi-ion crystal **quantum heat engine**



Classical heat engines

Convert thermal energy into mechanical work



James Watt



Sadi Carnot

$$\delta U = \delta Q + \delta W$$

James Watt (1783): $\eta \approx 5 - 7\%$
Modern power plants: $\eta \approx 30\%$



Robert Mayer

$$\eta = \frac{\text{Work produced}}{\text{Heat absorbed}} = \frac{W}{Q_H} \leq 1 - \frac{T_C}{T_H} = 1 - \frac{\beta_H}{\beta_C}$$

Single ion heat engine



J. Roßnagel, et al. "A single-atom heat engine", Sci. 352, 325 (2016)

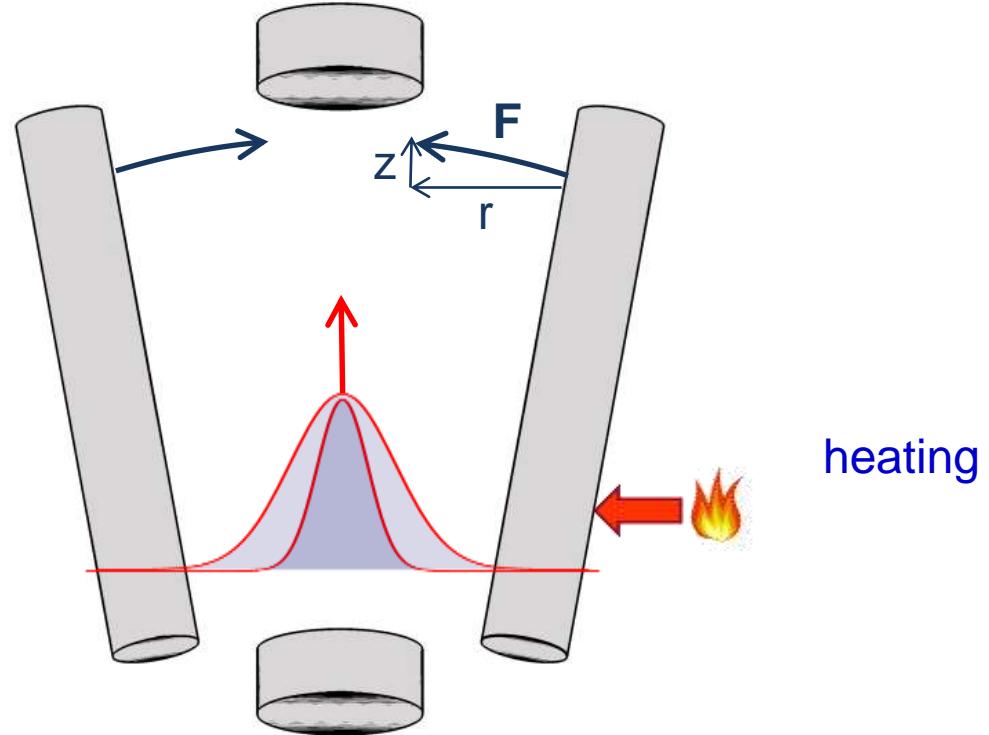
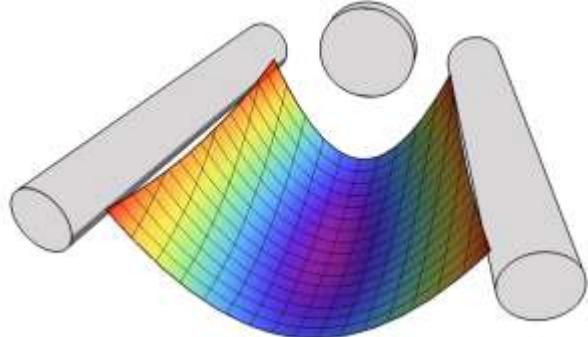
selected as one of the top ten breakthroughs in physics in the year 2016 by IOP Physics World

The working principle – single ion HE

Doppler heating/cooling in radial direction induces axial displacement

Equilibrium position shifted

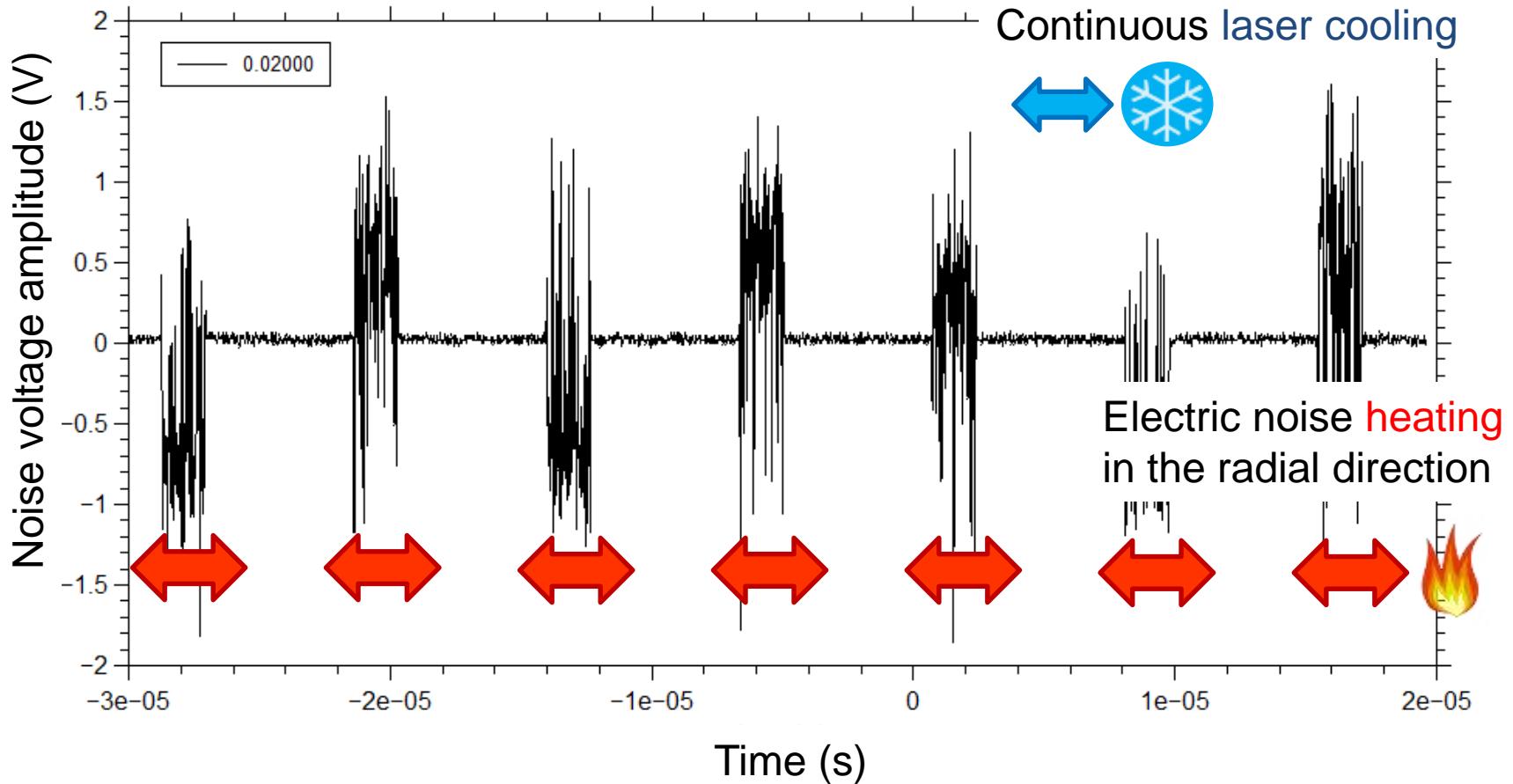
Pseudopotential



To reach large axial amplitudes of movement

- strong radial confinement
- weak axial confinement

Setting the reservoir temperature by radial excitation and cooling



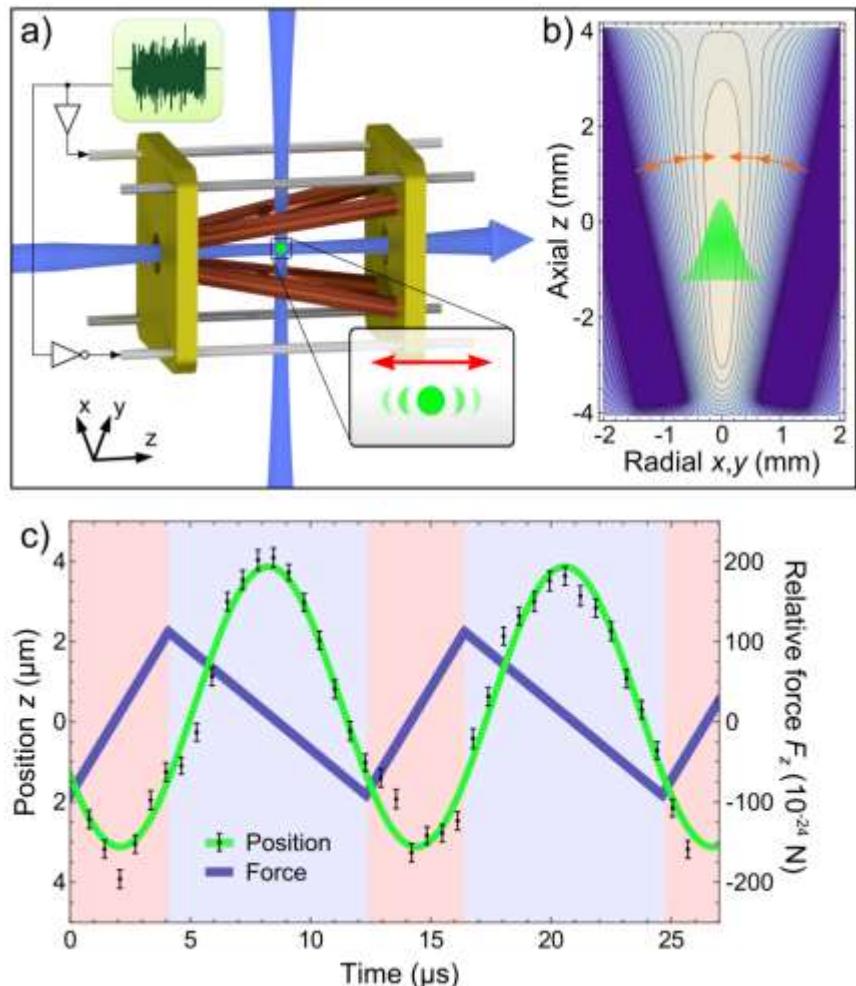
Stroboscopic motion measurements



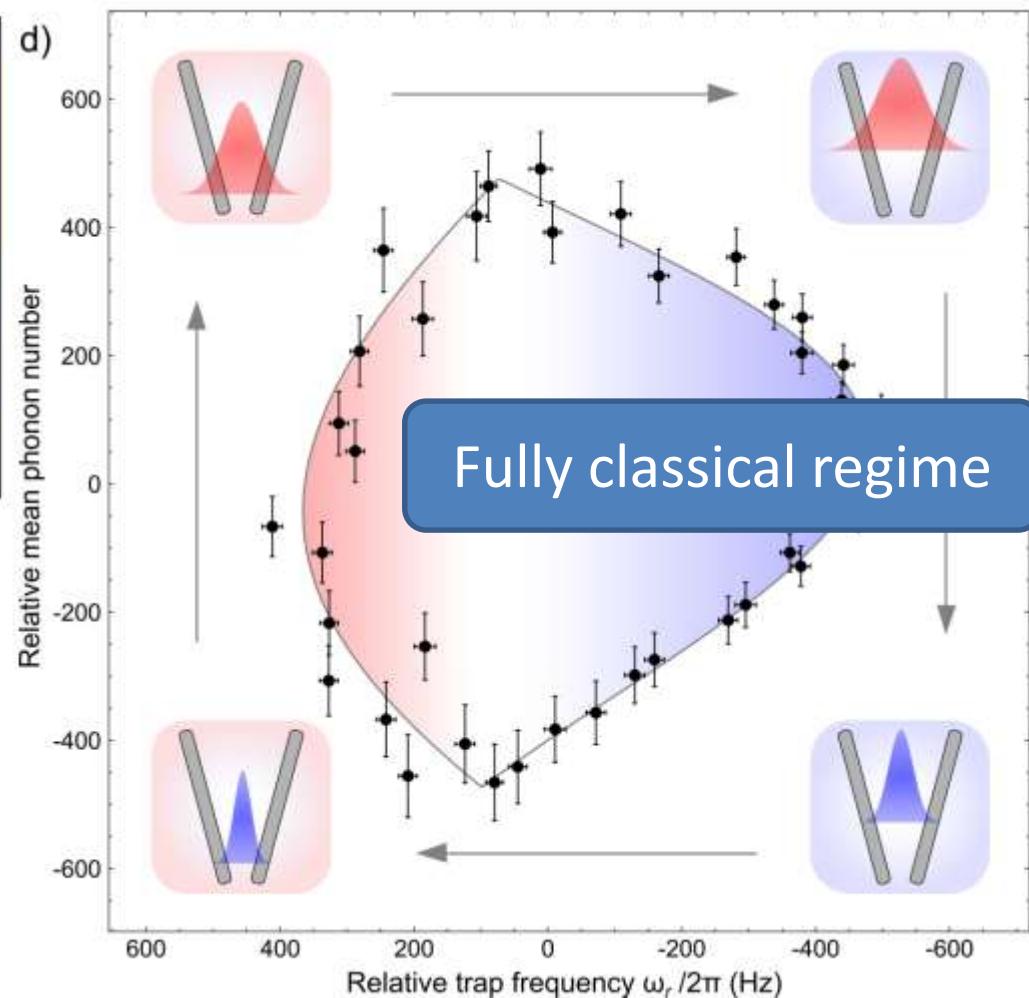
Princeton Instruments ICCD:

- 8 ns gate time
- 10 MHz frame rate

Working principle and results

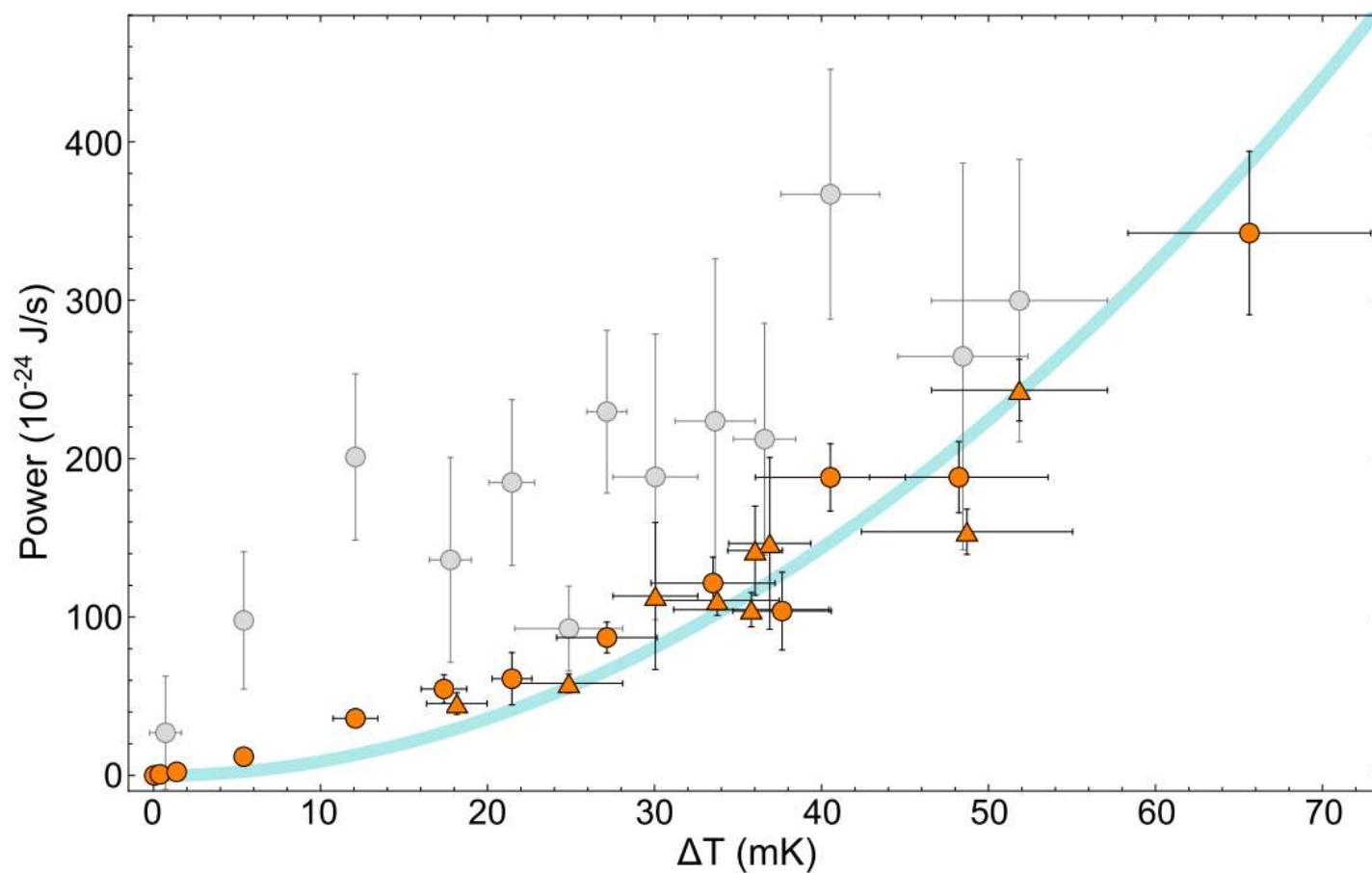


$$P = 3.4 \times 10^{-22} \text{ J/s}$$
$$\eta = 0.28\%$$



J. Roßnagel, et al. "A single-atom heat engine", Sci. 352, 325 (2016)

Heat engine efficiency



$$P = 3.4 \times 10^{-22} \text{ J/s}$$

$$\eta = 0.28\%$$

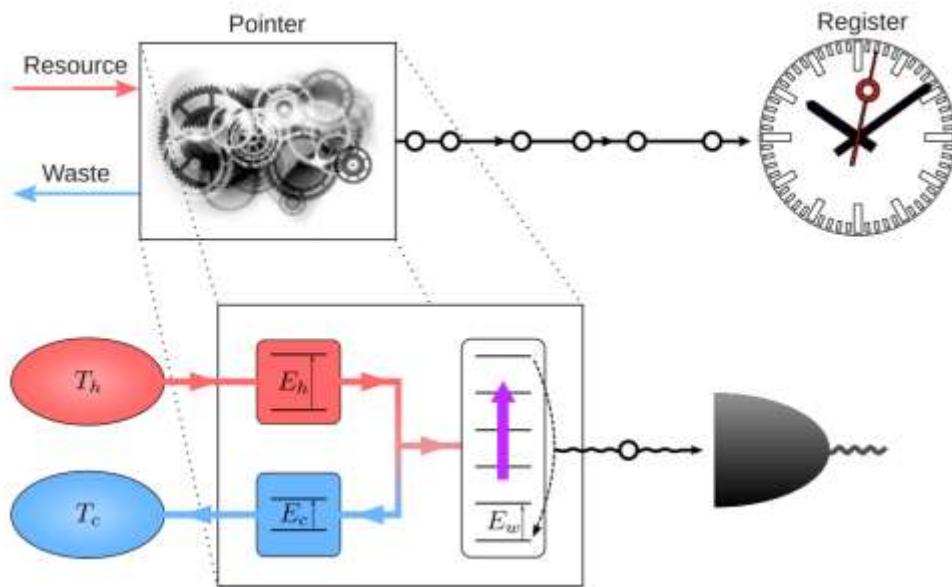
J. Roßnagel, et al. "A single-atom heat engine", Sci. 352, 325 (2016)

Stability of autonomous machine

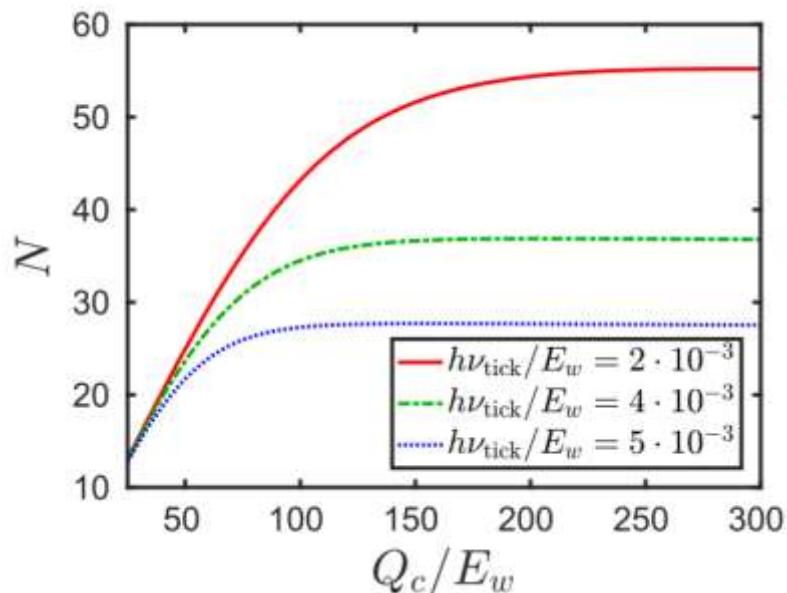
Selected for a Viewpoint in *Physics*
PHYSICAL REVIEW X 7, 031022 (2017)

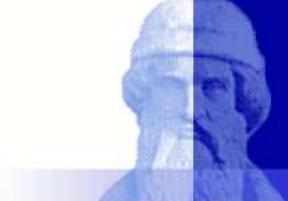
Autonomous Quantum Clocks: Does Thermodynamics Limit Our Ability to Measure Time?

Paul Erker,^{1,2} Mark T. Mitchison,^{3,4} Ralph Silva,⁵ Mischa P. Woods,^{6,7} Nicolas Brunner,⁵ and Marcus Huber⁸

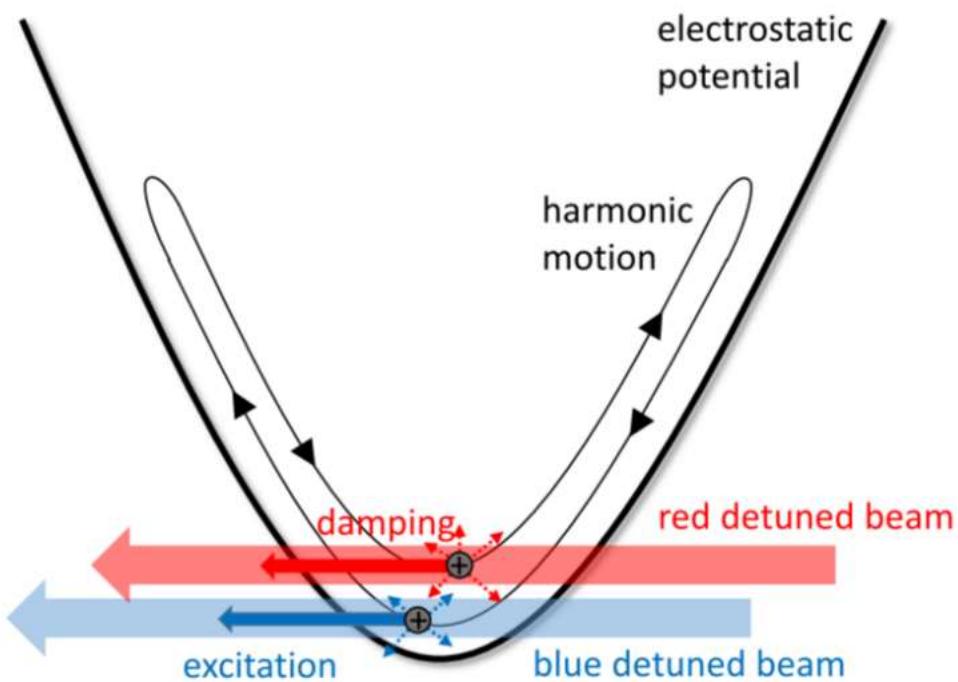


Prediction:
Accuracy of ticking increases
with heat consumption and
with entropy production





Our system – the phonon laser



- Blue- and red-detuned beams near dipole transition can lead to autonomous harmonic motion
- Damping and excitation balance during each motional cycle
- Beams are in resonance with trapped ion at separate times: 2ω periodicity in photon emission rates

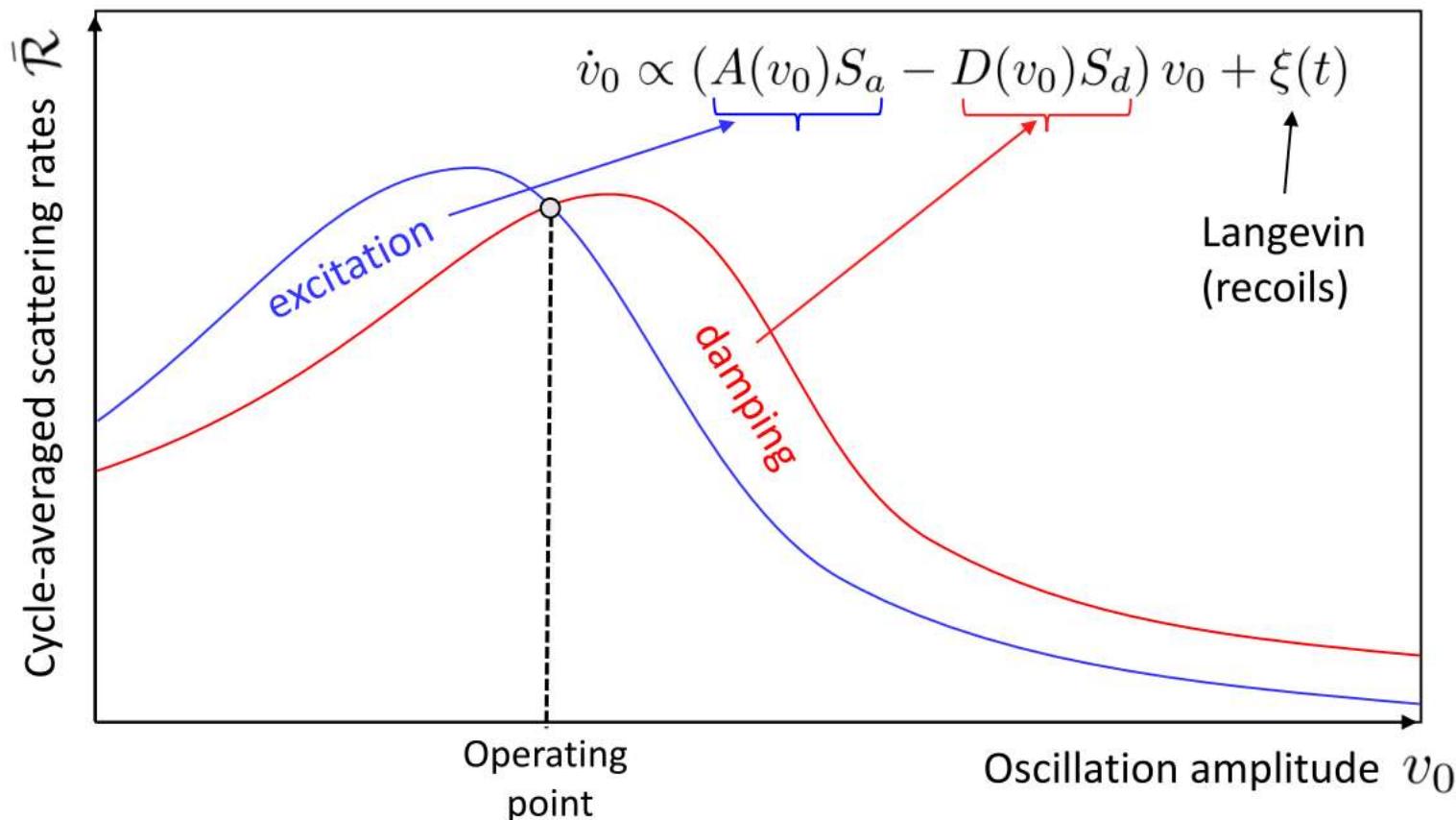
First demonstration by Udem group MPQ Munich:
K. Vahala et al., Nat. Phys. 5, 682 (2009)

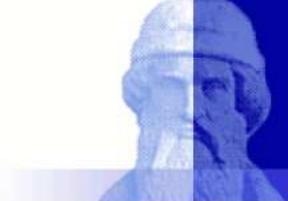


Stable operating point

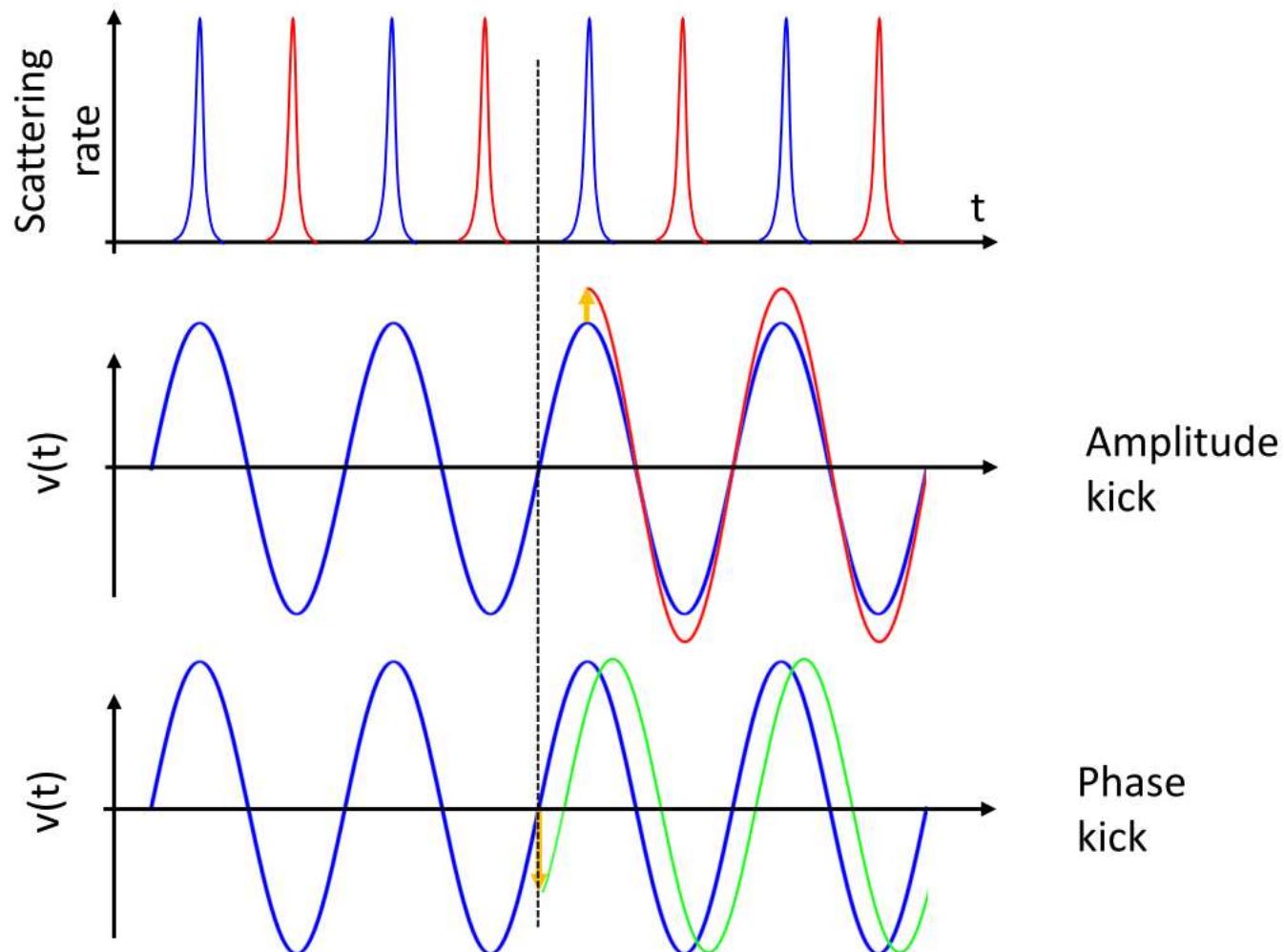
Stable oscillation: $v(t) = v_0 \cos(\omega_{\text{ax}} t + \phi)$

Scattering rates: $\mathcal{R}(t) = \frac{\gamma}{2} \frac{S}{1 + \frac{4}{\gamma^2} (\delta - k v(t))^2}$



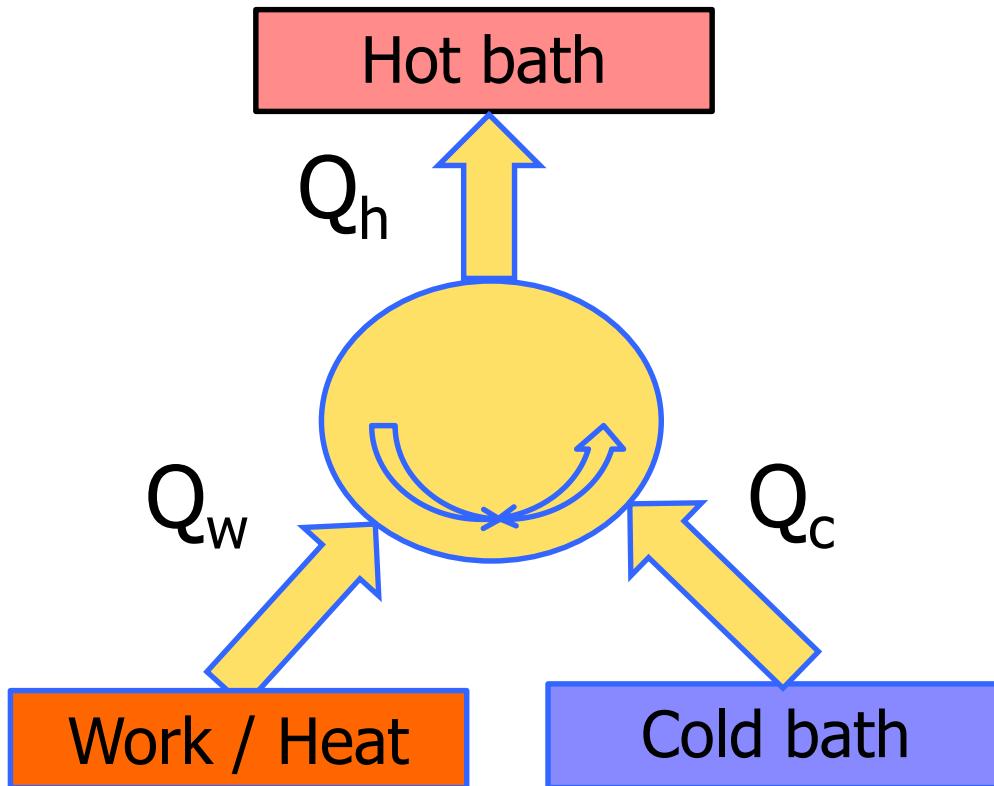


Phase stability



Recoils occur at velocity return points: **Inherent phase stability!**

Refrigerator



$$T_w > T_h > T_c$$



Dzmitry
Matsukevich



Refrigerator: cools cold bath by work

Absorption Refrigerator: Driven by heat instead of work

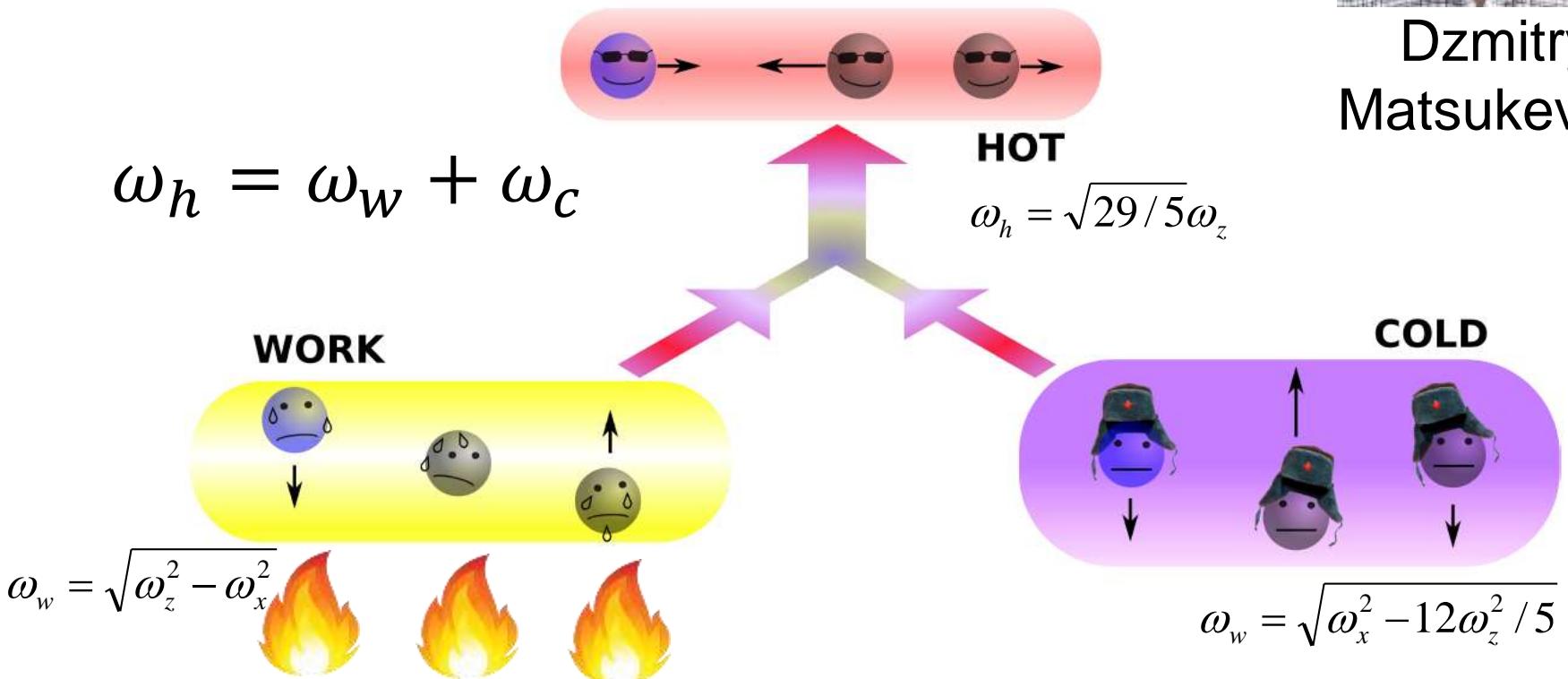
Refrigerator with trapped ions

Harmonic oscillators interacting
via **trilinear** Hamiltonian

$$\hat{H} = \hbar\xi(\hat{a}_h^\dagger\hat{a}_w\hat{a}_c + \hat{a}_h\hat{a}_w^\dagger\hat{a}_c^\dagger)$$



Dzmitry
Matsukevich



Equilibrium

1st law

$$\dot{Q}_i = \hbar\omega_i \dot{n}_i$$

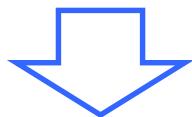
2nd law

$$\Delta S = \frac{\dot{Q}_h}{T_h} + \frac{\dot{Q}_w}{T_w} + \frac{\dot{Q}_c}{T_c} = 0$$

Coupling
Hamiltonian

$$\dot{n}_h = -\dot{n}_w = -\dot{n}_c$$

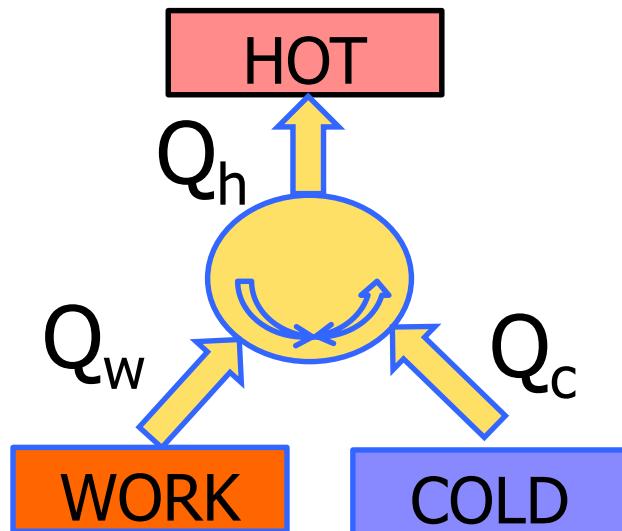
Phonons from W and C are
removed in pairs



In thermal equilibrium

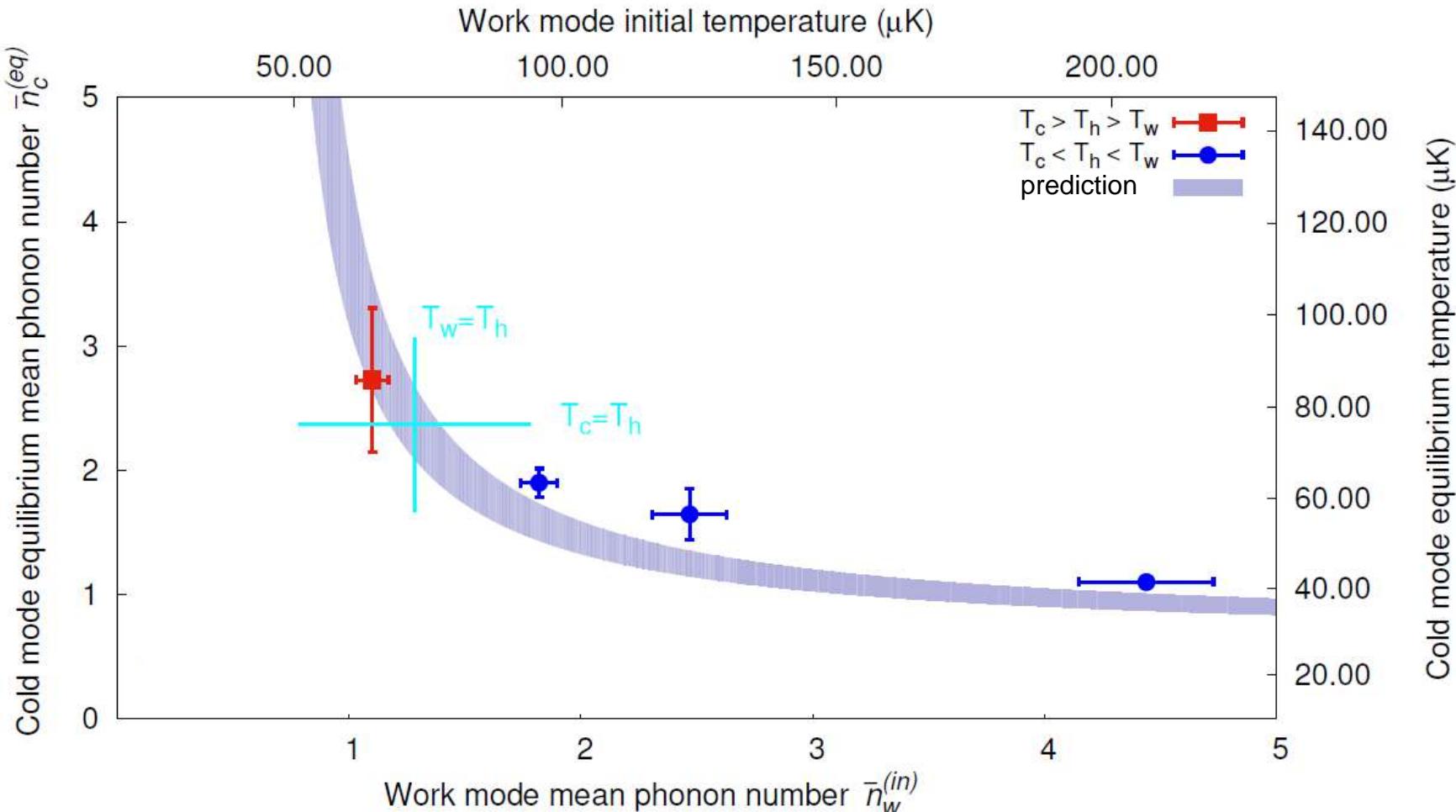
$$\left(1 + \frac{1}{\bar{n}_h^{(eq)}}\right) = \left(1 + \frac{1}{\bar{n}_w^{(eq)}}\right) \left(1 + \frac{1}{\bar{n}_c^{(eq)}}\right)$$

But: longer evolution leads to non-thermal states

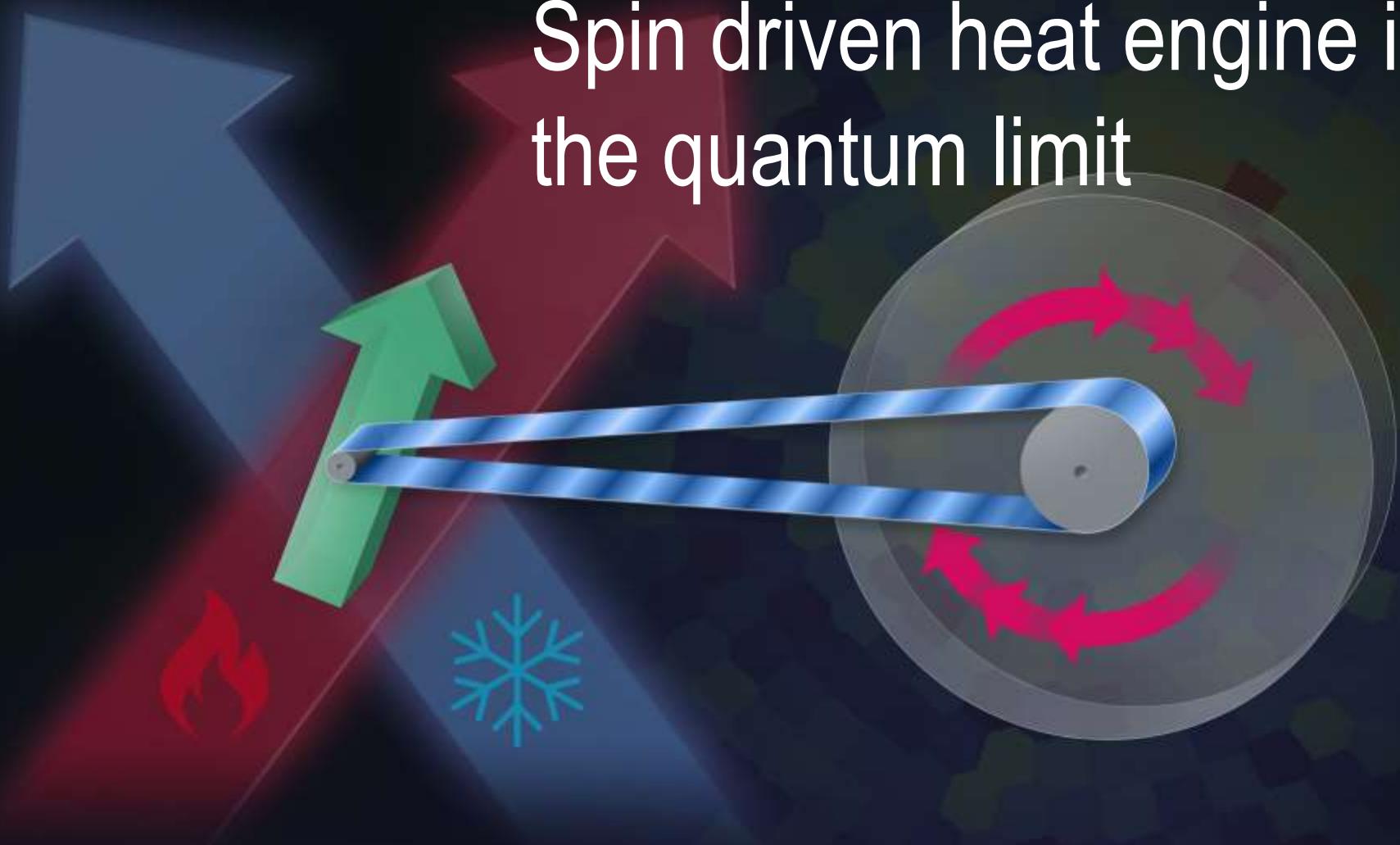


Fridge operation

The higher the work mode phonon number, the colder the cold mode



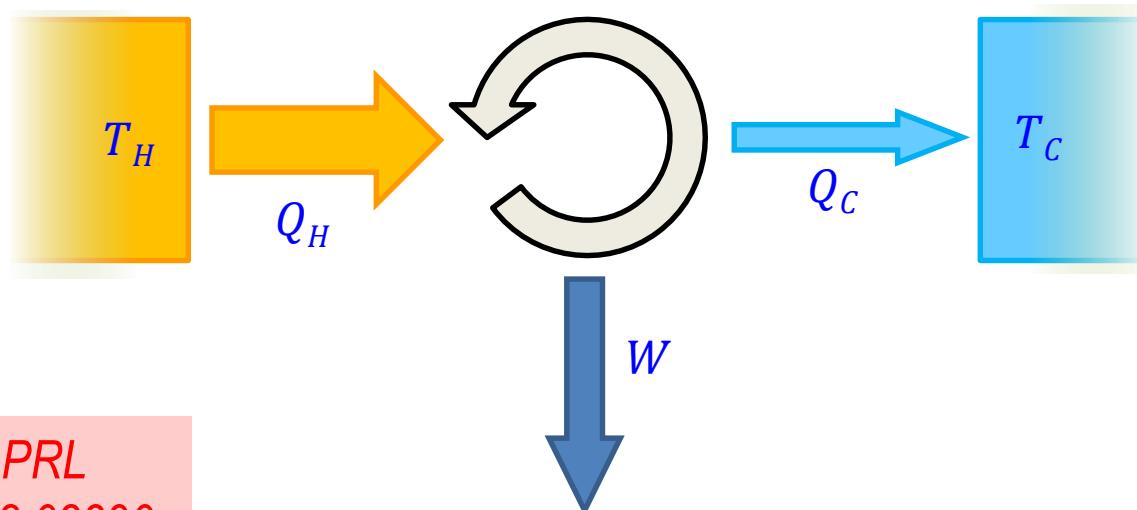
Spin driven heat engine in the quantum limit



"A spin heat engine coupled to a harmonic-oscillator flywheel", Phys. Rev. Lett. 2019 in press, arXiv:1808.02390

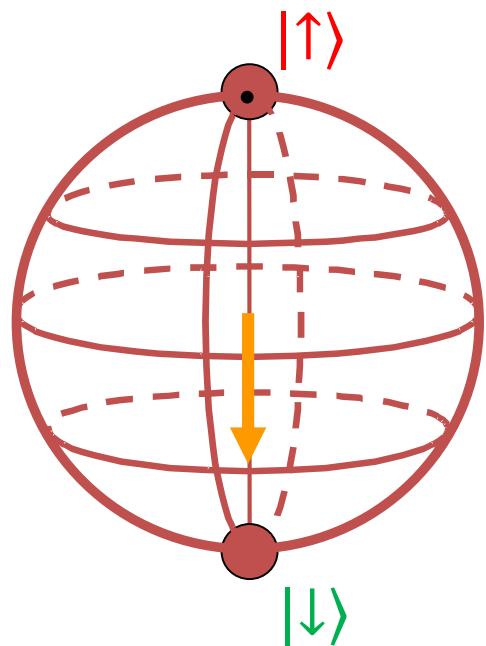
Heat-Engine Operation in the Quantum Regime

Generic heat engine	Implementation with a trapped $^{40}\text{Ca}^+$ ion
Working medium	Spin of the valence electron: $ \uparrow\rangle, \downarrow\rangle$
Thermal baths	Controlling the spin by optical pumping
Gearing mechanism	Spin-dependent optical dipole force
Storage for delivered work	Axial oscillation: $ 0\rangle, 1\rangle, 2\rangle, \dots$



Spins Thermodynamics

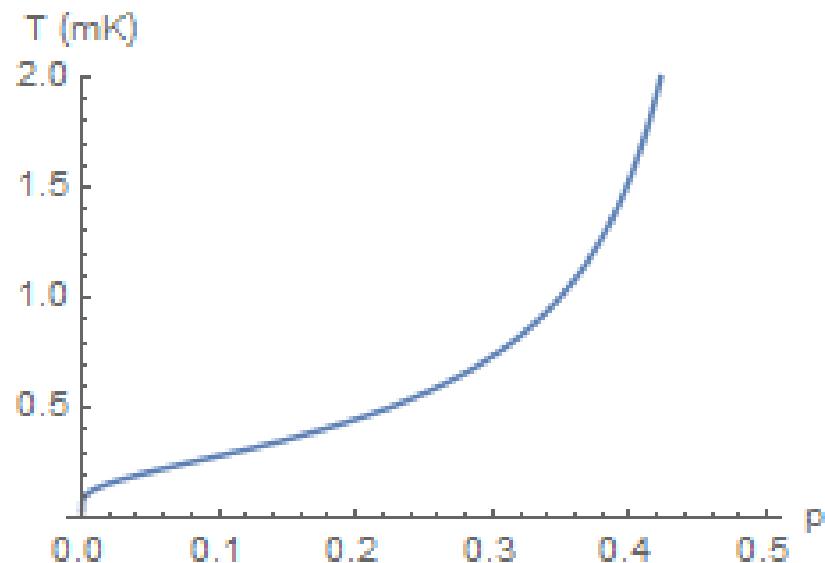
Thermal state



$$\rho = p_{\uparrow} | \uparrow \rangle \langle \uparrow | + (1 - p_{\uparrow}) | \downarrow \rangle \langle \downarrow |$$

Spin temperature

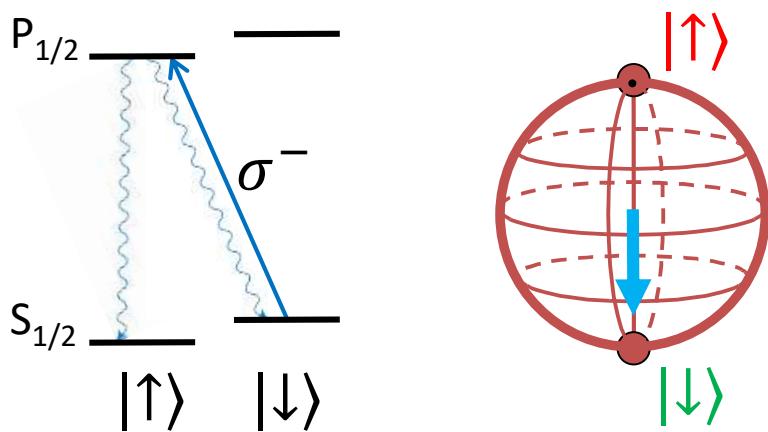
at $2\pi \cdot 13$ MHz Zeeman splitting



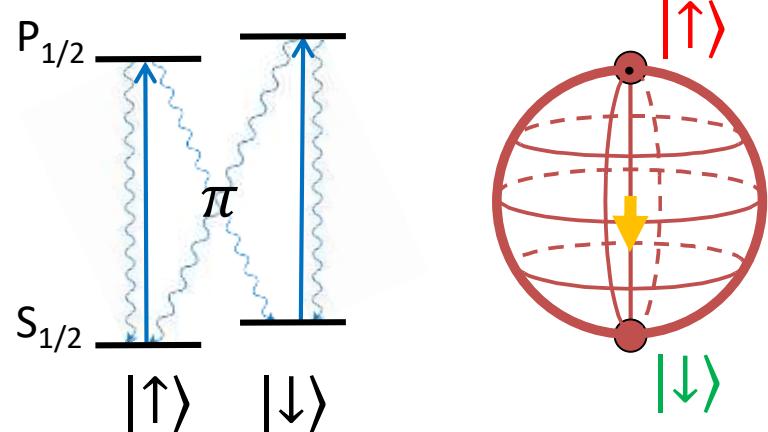
$$p_{\uparrow} = \frac{1}{1 + \exp(\hbar\omega_L/k_B T)}$$

Controlling the Spins Thermodynamics

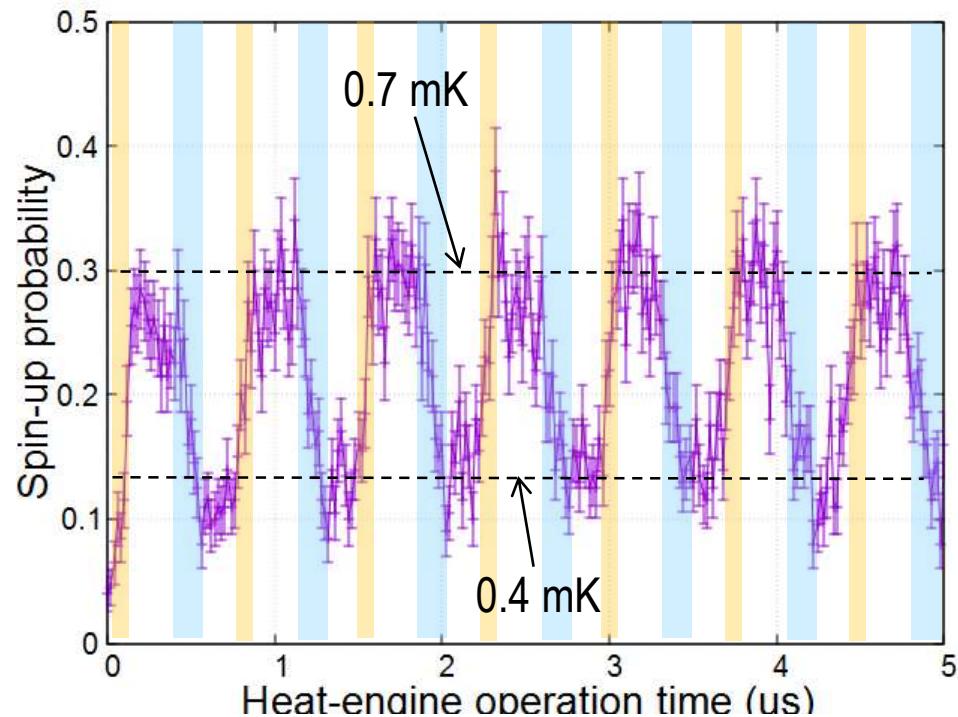
Cold bath: optical pumping



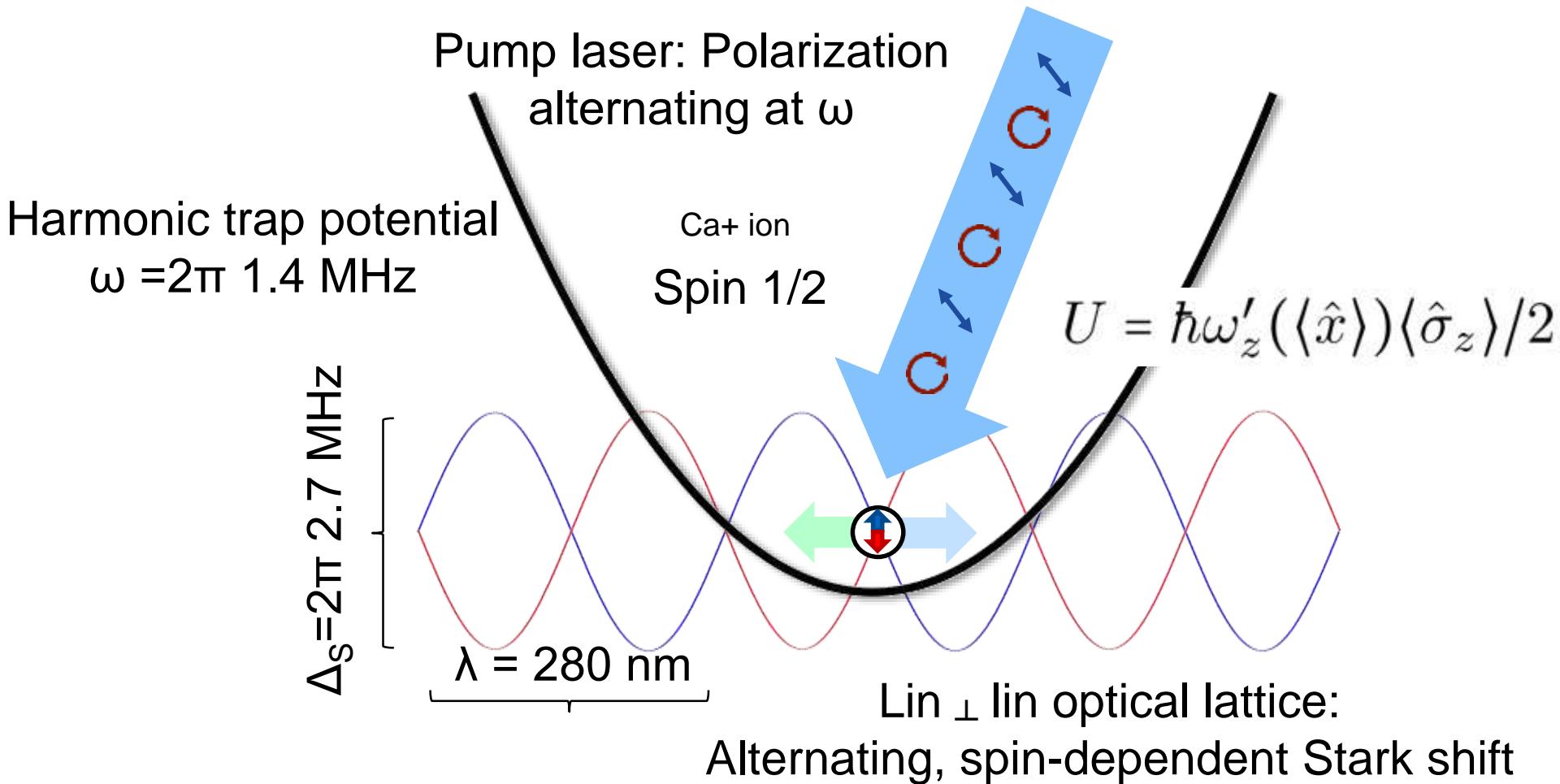
Warm bath: depolarising



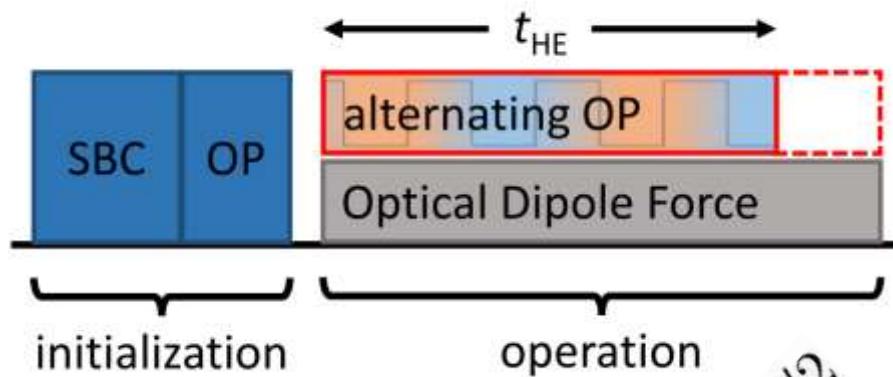
Function	Cooling	Heating
Polarisation	circular	linear
Duration	180 ns	130 ns
Excitation (p_\uparrow)	0.13	0.30
Temperature	0.4 mK	0.7 mK
Period (= axial oscillation)	740 ns	



Heat-Engine Operation

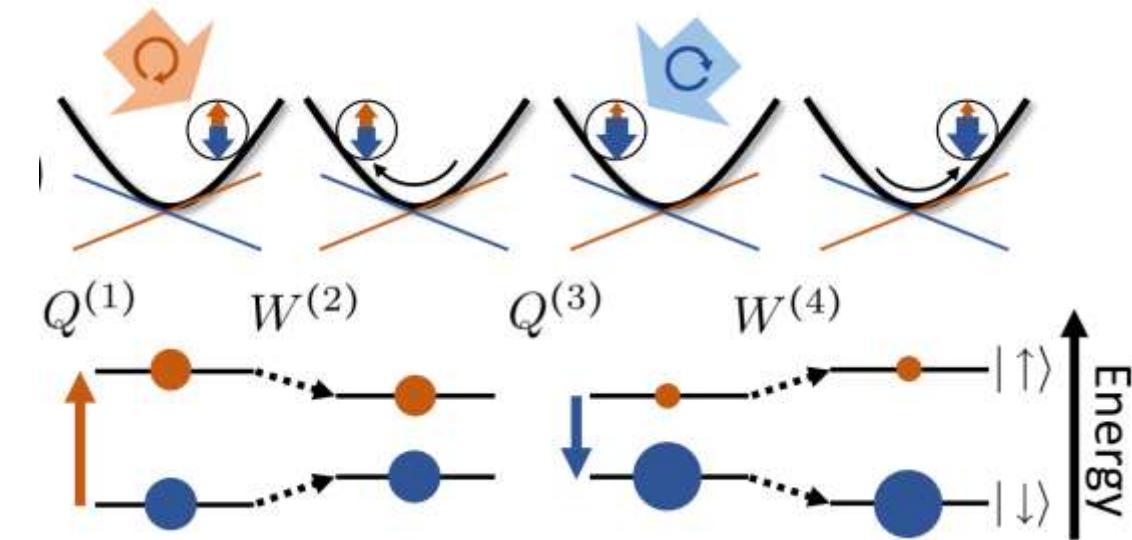


Single-ion operation

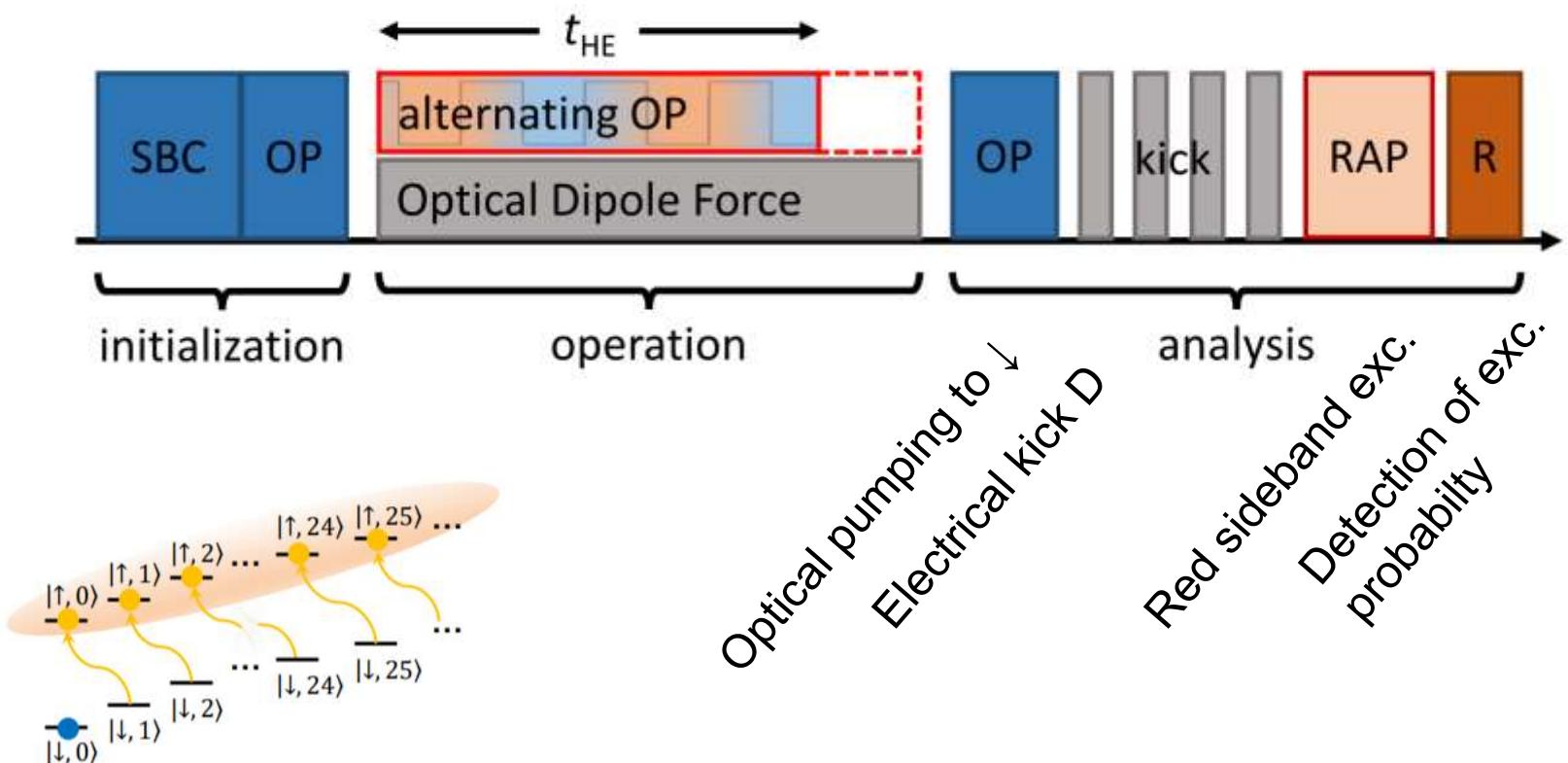


Cooling to $|n=0\rangle$
Optical pumping to \uparrow
Alternating optical
Pumping: cold-hot

4-stroke cycle



Single-ion operation and analysis



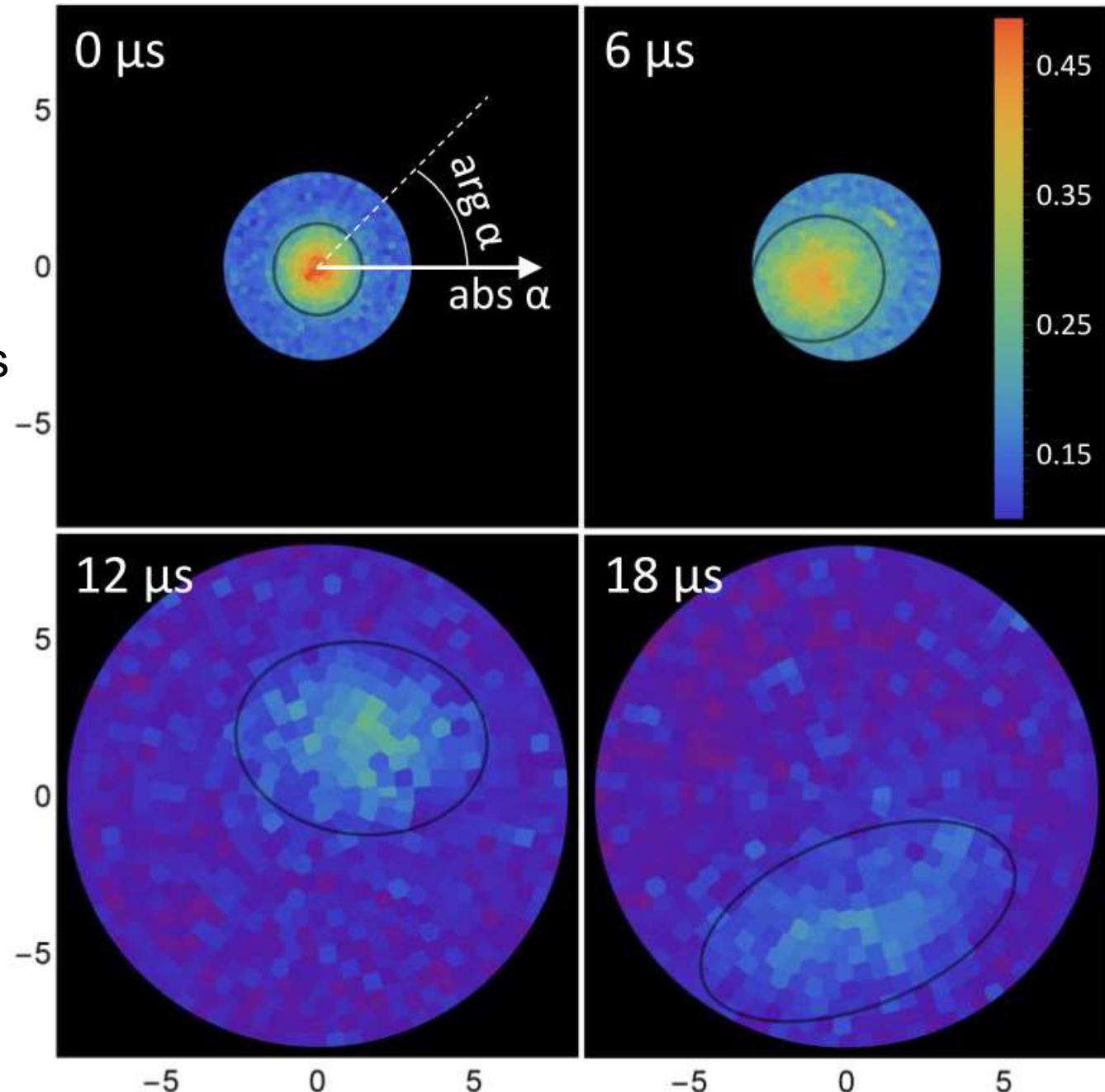
- Red SB excitation: all motional state, except $|n=0\rangle$ transferred to \uparrow
- Measurement of Q-function:

$$\mathcal{Q}(\alpha, \alpha^*) = \frac{1}{\pi} \langle 0 | \hat{D}^\dagger(\alpha) \hat{\rho} \hat{D}(\alpha) | 0 \rangle$$

Measured Q-function

starting from $|n=0\rangle$

Q-funct. modelled as
dispaced (β)
squeezed (ζ)
thermal (\bar{n})
distribution



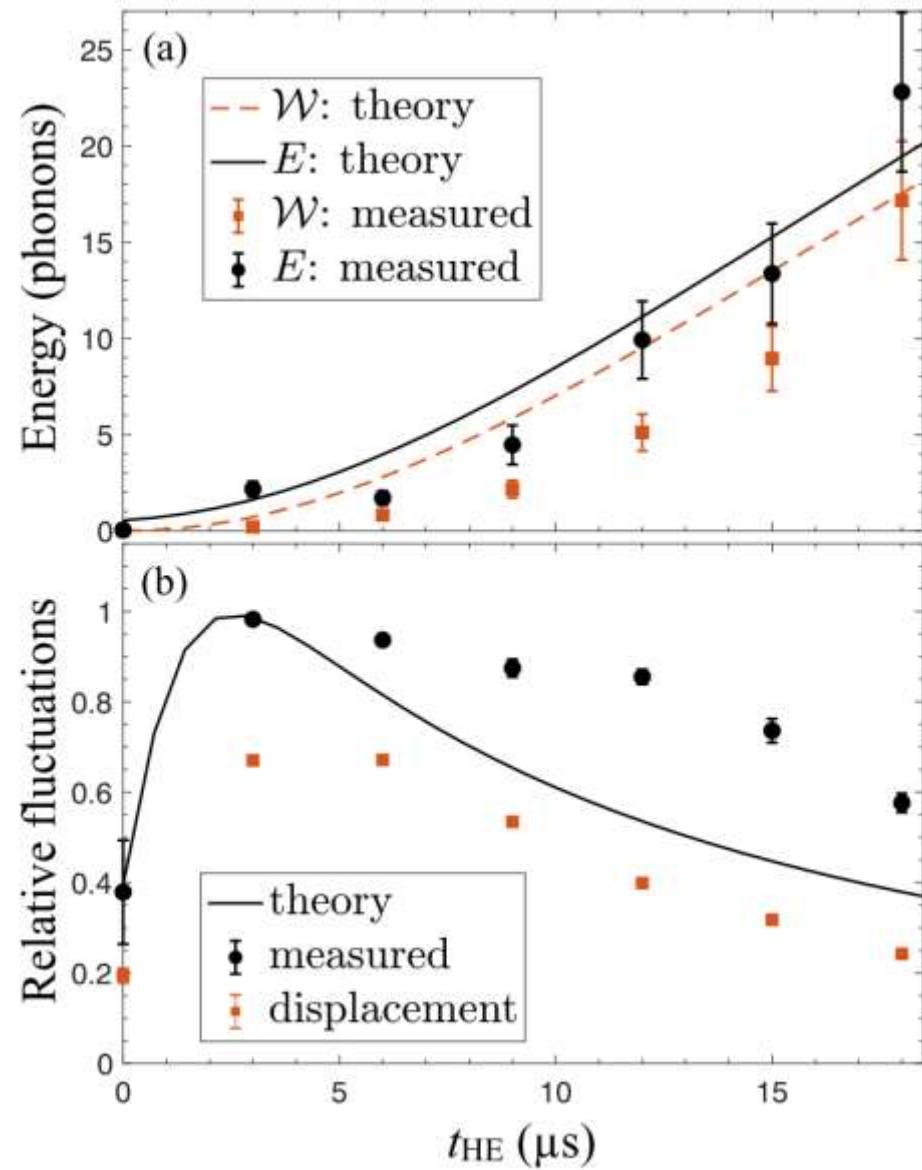
Analysis of the heat engine function

- Reconstruct a density matrix from experimentally determined set $\{\beta, \zeta, n\}$
- Determine work E
- Determine HE-ergotropy \mathcal{W}

$$\mathcal{W} = \hbar\omega_t |\beta|^2 + \hbar\omega_t \sinh^2(|\zeta|)(2\bar{n} + 1)$$

$$E = \mathcal{W} + \hbar\omega_t \bar{n}.$$

- Determine relative energy fluctuations $\Delta E/E$
- Thermal and spin-projection noise contributions



experimental / theory heat engine collaboration



David von
Lindenfels*



Martin
Wagner



Christian
Schmiegelow
(Buenos Aires)



Ulrich Poschinger



FSK



Mark Mitchison



John Goold

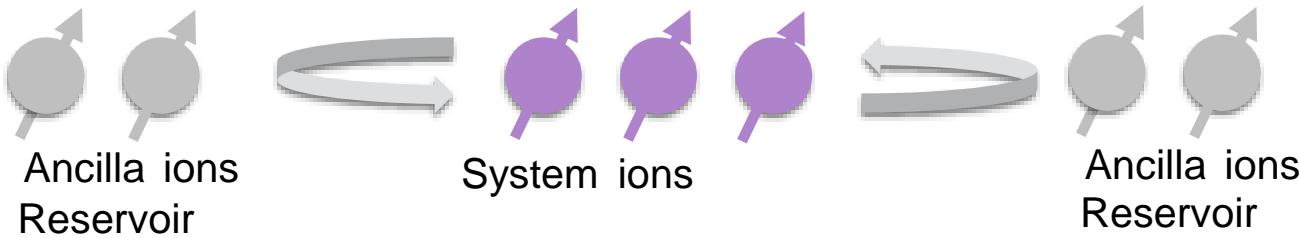


Trinity College Dublin
Coláiste na Tríonóide, Balle Átha Cliath
The University of Dublin

Future plans



Realize and analyze engine with full quantum control over working fluid and reservoirs



Goals:

- Investigate the role of multi-particle quantum entanglement in heat engines
- Study close connection between quantum error correction, quantum computing and heat engines