



**The Abdus Salam  
International Centre for Theoretical Physics**



2039-7

**Conference on 2nd Drug Development for the Third World: From  
Computational Molecular Biology to Experimental Approaches**

*1 - 5 June 2009*

**Multivalent Drugs and Diarrheal Diseases**

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# Diarrheal diseases & The Power of Multivalency in Drug Design

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-  
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June 2009

# Multivalent Inhibitors of Cholera Toxin (CT)

produced by *Vibrio cholerae*.

CT is a close relative of  
Heat-Labile Enterotoxin (LT)  
produced by enterotoxigenic *E. coli*,  
the cause of much of children's and traveller's diarrhea

Volume 59 Numbers 13 & 14 25 July 1990

# CURRENT SCIENCE

*Vibrio cholerae* :

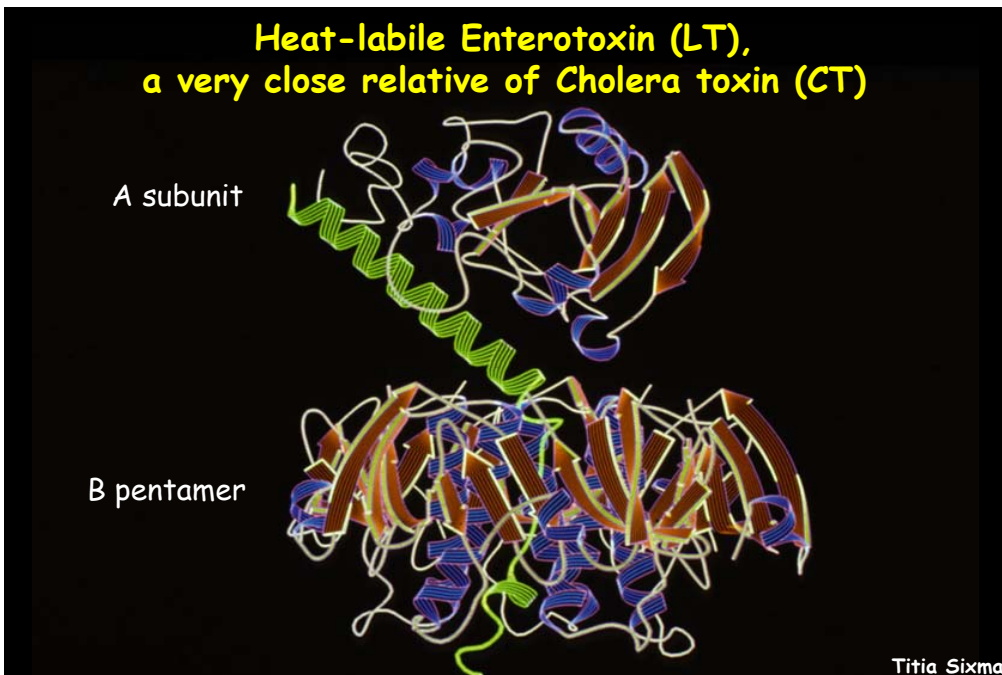
- produces CT
- ~3-5 million cases per year
- ~120,000 victims per year

Special issue on S.N. De and Cholera Enterotoxin

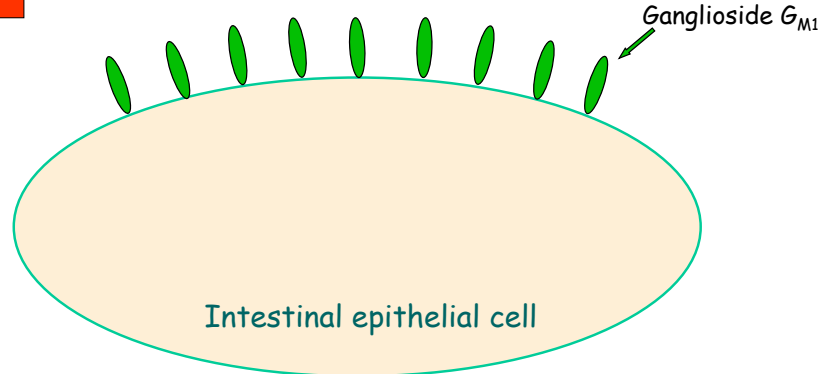
Enterotoxigenic *E. coli* :

- produces LT and ST
- ~200 million cases per year
- ~170-390,000 victims per year

Current Science Association ■ Indian Academy of Sciences



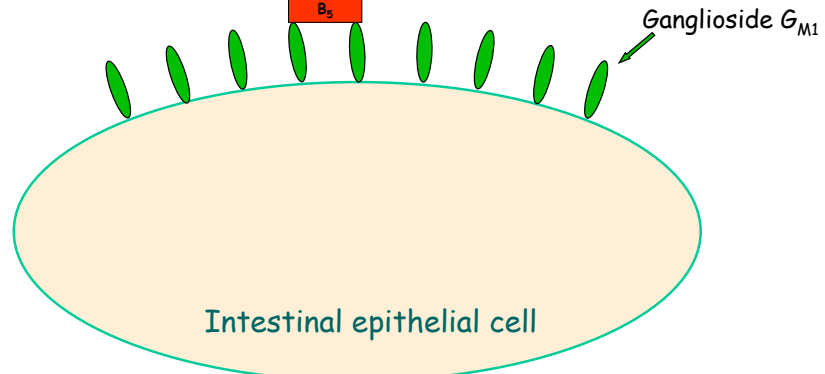
## CT and LT vs. human cell



CT : Cholera

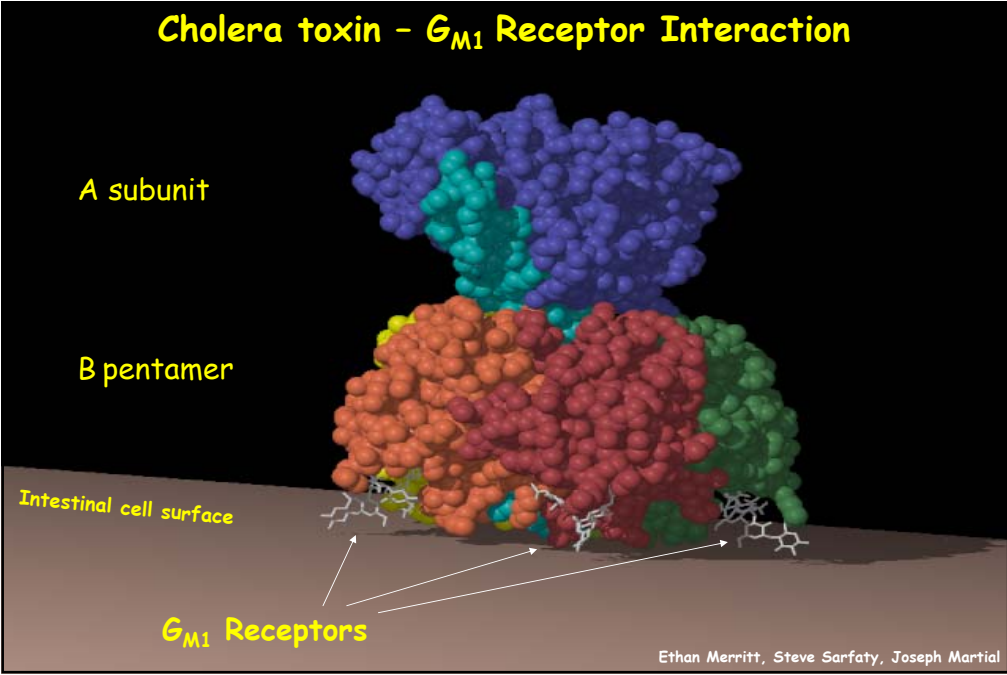
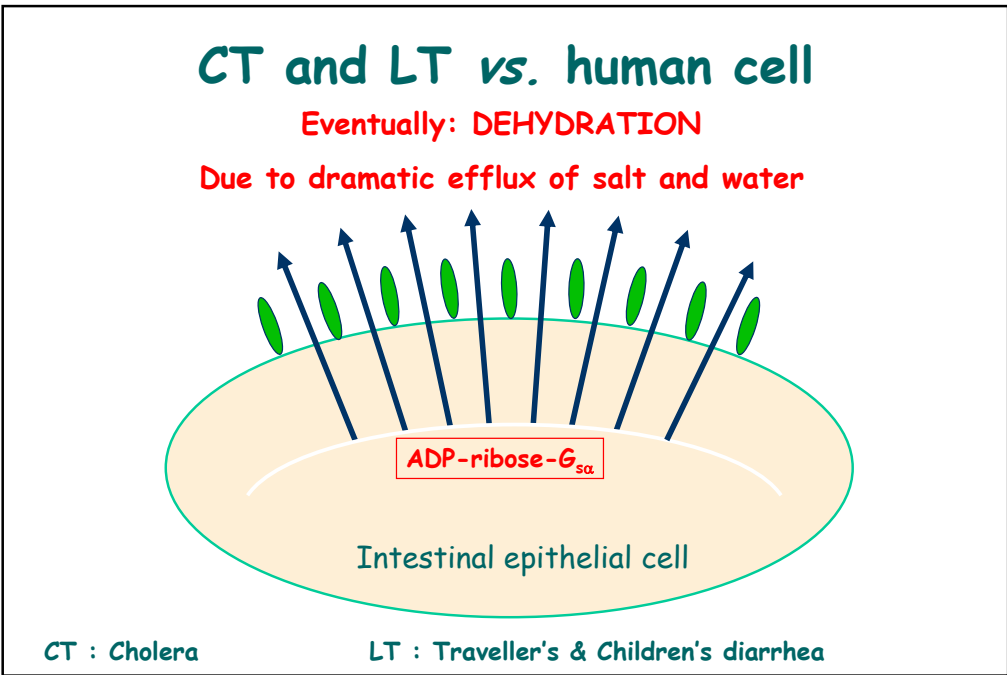
LT : Traveller's & Children's diarrhea

## CT and LT vs. human cell

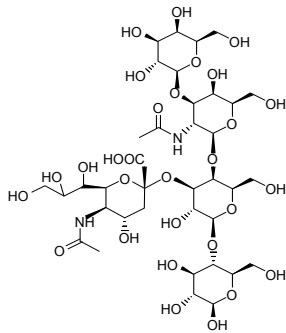


CT : Cholera

LT : Traveller's & Children's diarrhea

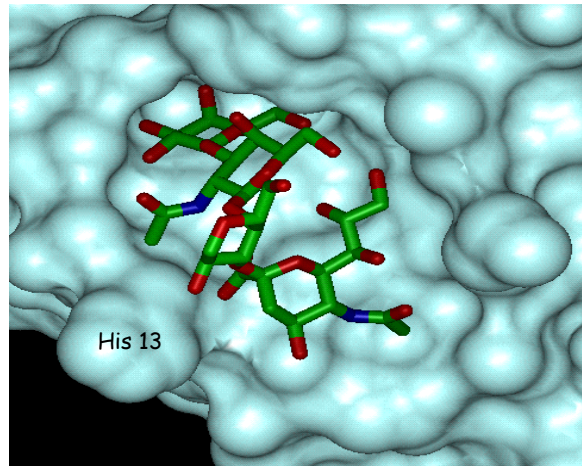


## $G_{M1}$ Pentasaccharide bound by CT



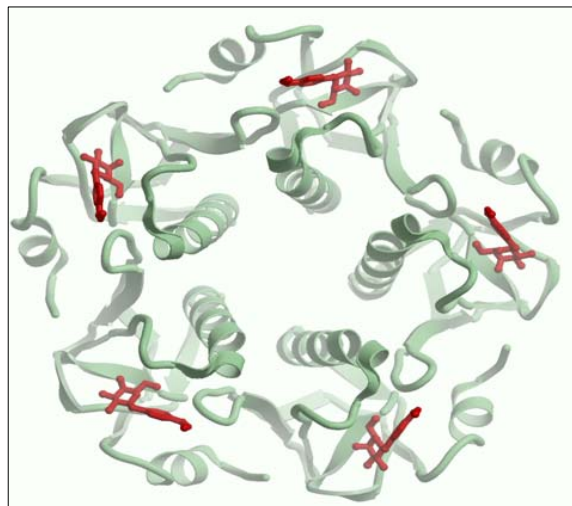
$IC_{50} = 14 \text{ nM}$

Extensive hydrophobic and  
H-bonding interactions

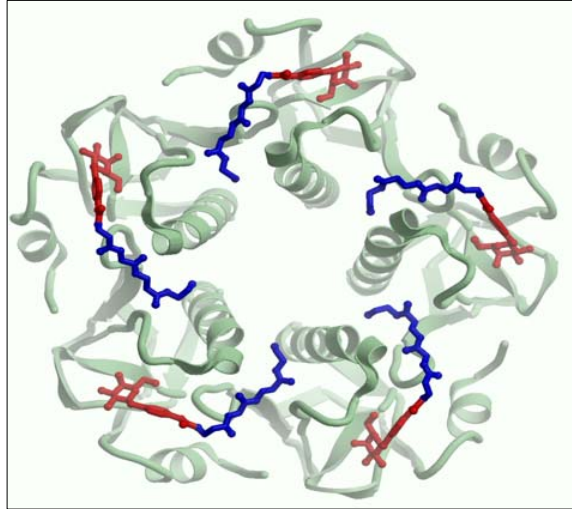


The enemy

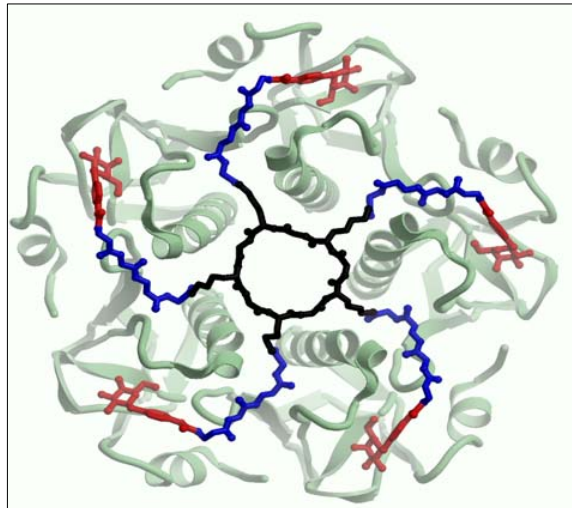
## Five receptor binding sites



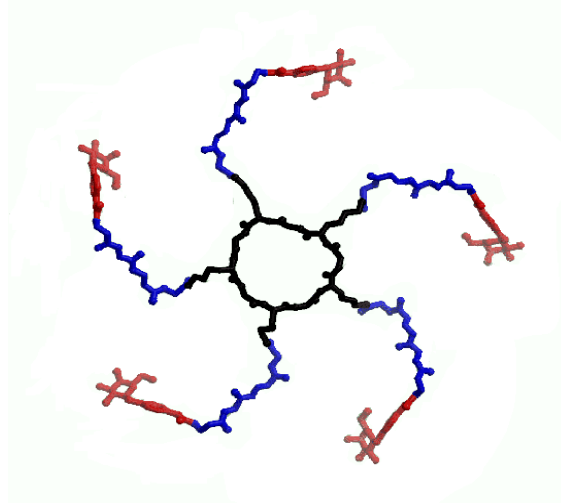
## Making ligands longer



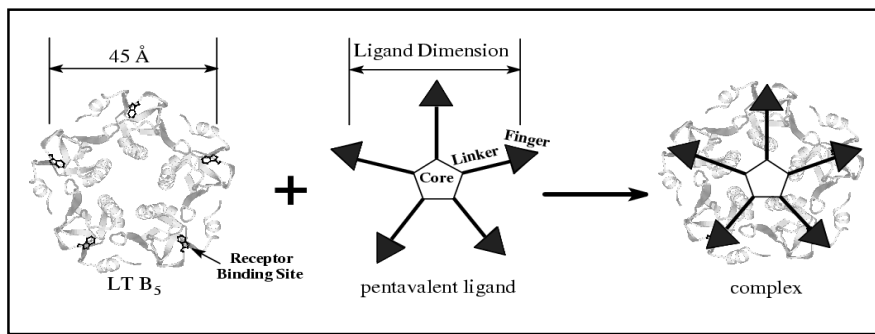
## Ligand-Protein Complex



## Pentavalent Ligand



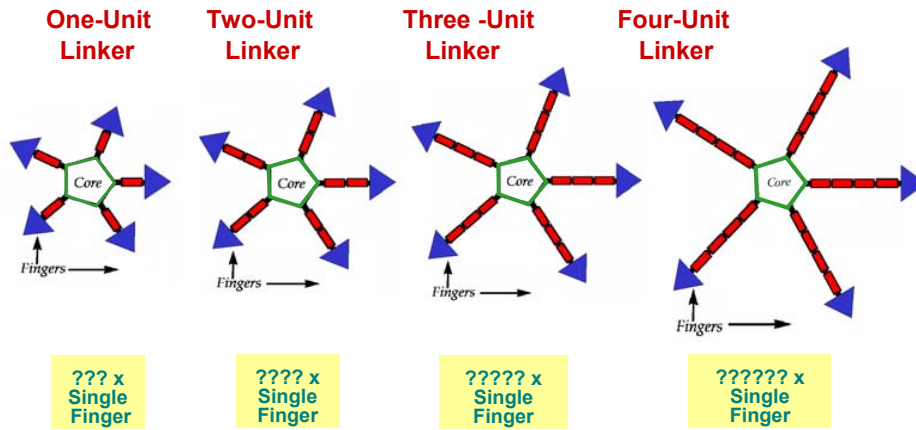
## THE PENTAVALENT CONCEPT



“Proper Pre-organization”

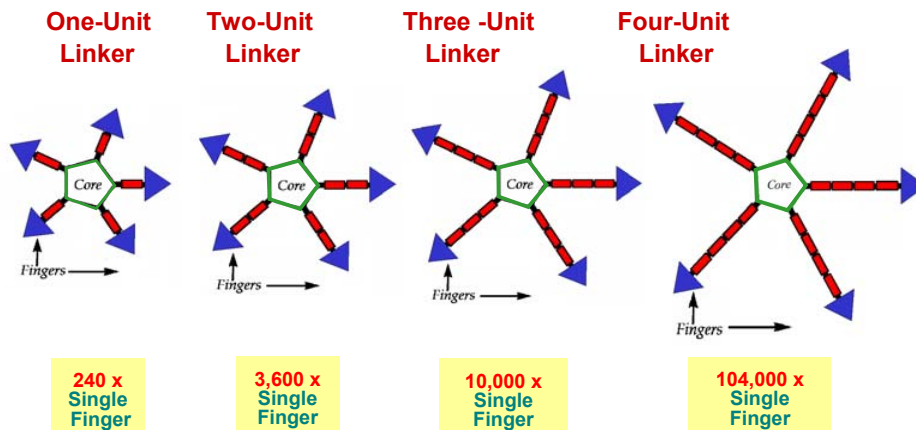


## Gains in surface-receptor binding inhibition



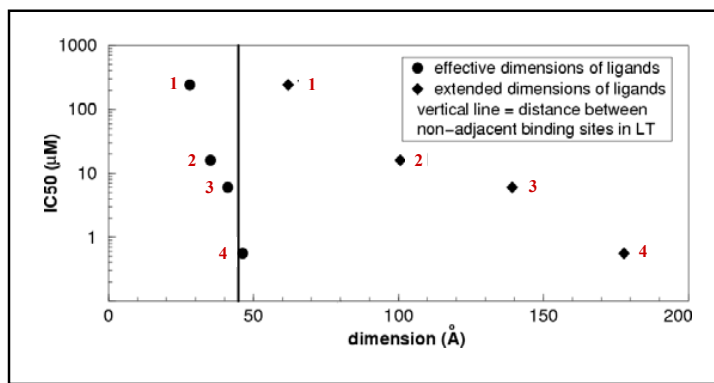
Erkang Fan, Zhongsheng Zhang, Jason Pickens, Jiyun Liu, *et al*

## Gains in surface-receptor binding inhibition

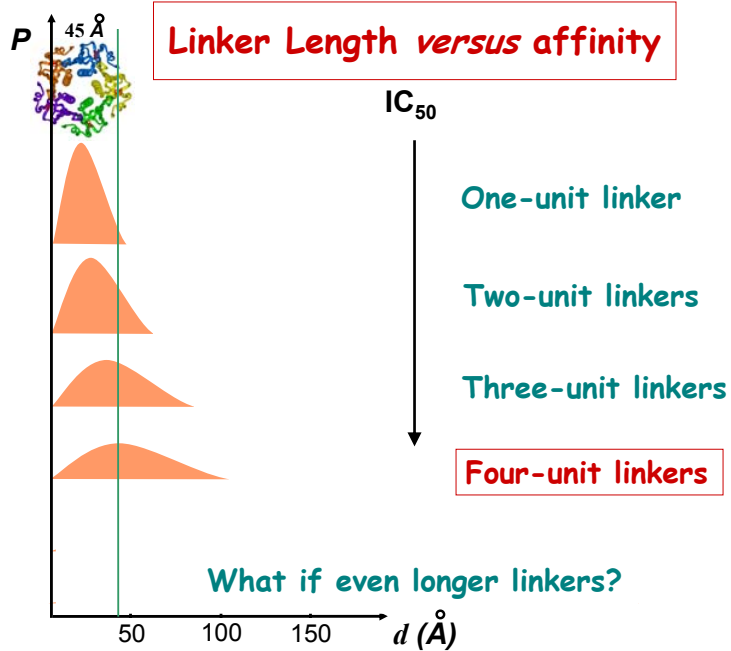


Erkang Fan, Zhongsheng Zhang, Jason Pickens, Jiyun Liu, *et al*

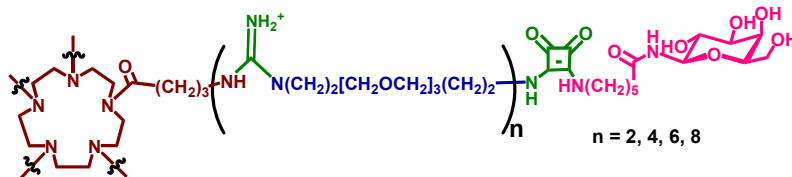
## IC<sub>50</sub> versus EXTENDED & EFFECTIVE DIMENSIONS OF PENTAVALENT LIGANDS



Erkang Fan and co-workers



## Linker too long : less affinity



Linker Units

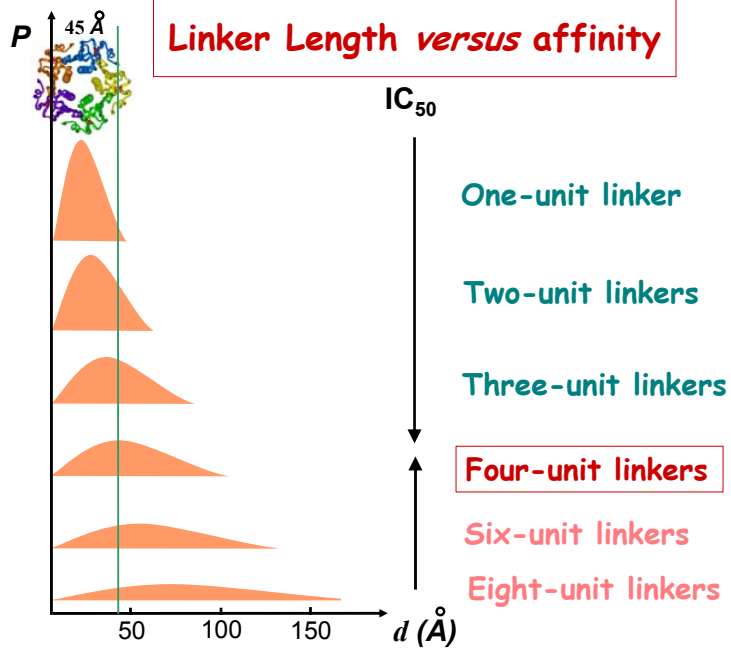
IC<sub>50</sub> (μM)

n = 2	13.26 ± 0.95
n = 4	1.50 ± 0.10
n = 6	4.63 ± 0.46
n = 8	7.25 ± 0.38

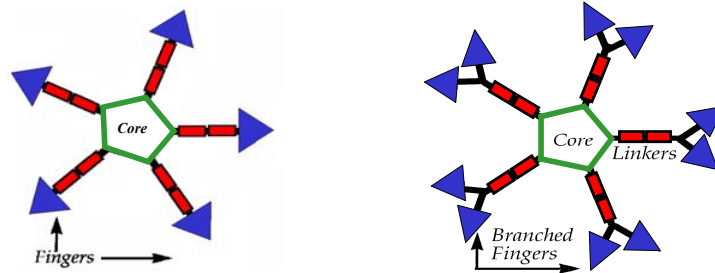
(A single galactose “finger”: IC<sub>50</sub> = ~ 100 mM ≈ 100,000 μM)

Erkang Fan and co-workers

## Linker Length versus affinity

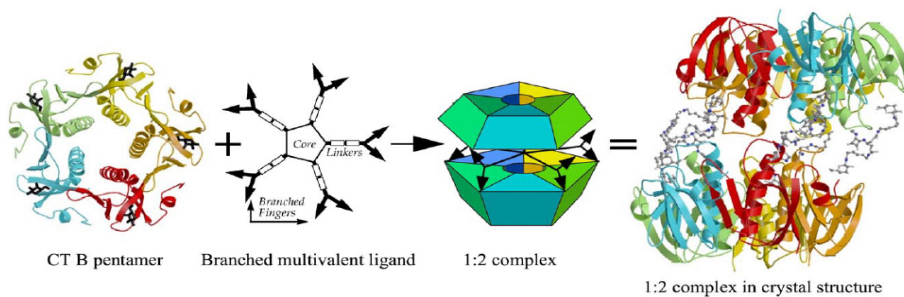


## Decavalent Inhibitor



Would "pre-organization" of a decavalent inhibitor,  
by binding to one CT B-pentamer,  
enhance the affinity for binding to a second CT B-pentamer??

## Decavalent Inhibitor

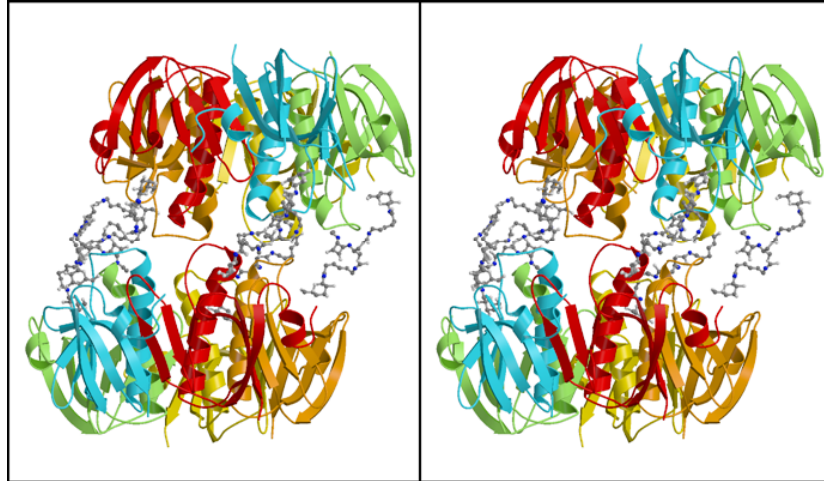


Tenfold higher affinity than Pentameric ligand with same linker length  
One million fold higher affinity than a single "Galactose Finger"

Zhongsheng Zhang  
Erkang Fan

Misol Ahn  
Ethan Merritt

## Decavalent Inhibitor



Two CT-B Pentamers Linked by a Decavalent Ligand of 10.6 kDa

## Acknowledgements CT and LT Multivalent Inhibitors

University of Washington  
Seattle

Misol Ahn  
Steve Sarfaty  
Dan Mitchell  
Ethan Merritt  
Claudia Roach

University of Groningen  
The Netherlands

Titia Sixma

University of Washington  
Seattle

Erkang Fan  
Zhongsheng Zhang  
Zheng Hou  
Feng Hong  
Ajit Ghosh  
Jason Pickens  
Guangtao Zhang  
Jiyun Li

University of Washington  
Seattle

Wendy Minke  
Christophe Verlinde  
Xiaojiang Tan

University of Liège  
Belgium

Joseph Martial

## References

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- Fan, E., O'Neal, C. J., Mitchell, D. D., Robien, M. A., Zhang, Z., Pickens, J. C., Tan, X.-J., Korotkov, K., Roach, C., Krumm, B. E., Verlinde, C. L. M. J., Merritt, E. A. & Hol, W. G. J. (2004). Structural Biology and Structure-based Inhibitor Design of Cholera Toxin and Heat-labile Enterotoxin. *Int. J. Med. Microbiol.* **294**, 217-223.
- Zhang, Z., Liu, J., Verlinde, C. L., Hol, W. G. & Fan, E. (2004). Large Cyclic Peptides as Cores of Multivalent Ligands: Application to Inhibitors of Receptor Binding by Cholera Toxin. *J. Org. Chem.* **69**, 7737-7740.

# The Art and Science of Linking Ligands

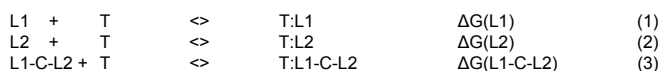
## The Science of Linking Ligands

In quite a number of cases two different Ligands to the same Target have been connected which resulted in a significant gain in free energy of binding. However, in other cases the free energy gain appeared to be negligible and in some cases the linked ligands have no affinity at all for the Target. How to connect Ligands to obtain higher affinity linked-ligands is an important art in Ligand Design.

In this case we have to consider several entities:

- the Ligand L1
- the binding site S1 for Ligand L1
- the Ligand L2
- the binding site S2 for Ligand L2
- the connector C, linking L1 and L2
- a possible binding site SC for the connector C

It is useful to start with a few simple equations where we will ignore water for simplicity reasons only:



Now it is very common, but very wrong, to state that:

$$\Delta\text{G(L1-C-L2)} = \Delta\text{G(L1)} + \Delta\text{G(L2)} \quad (4)$$

We will discuss below why this is wrong - but the fact is that many authors are happy about applying equation (4) since by sheer luck they obtain a correct answer for the wrong reasons! There is a fundamental point here which will be discussed in the next paragraphs.

## The Science of Linking Ligands (ctd.)

First, lets list a number of options for the characteristics of the connector C. This linker C can :

- be completely rigid, or very flexible
- have very favorable, unfavorable, or no interactions with the Target
- allow the ligands L1 and L2 to bind in exactly the same mode to Target when connected as when unconnected, or does force L1, or L2, or both L1 and L2, to bind in a different mode when connected compared to unconnected.
- the connector does or does not cause a conformational change in the Target, affecting S1, or S2, or both.

Let us start with a **"perfect non-interacting" Connector**, i.e. a "completely rigid, non-interacting, not binding-site changing Connector which allows L1 and L2 to bind to the Target in exactly the same mode as when L1 and L2 bind individually". The Target is also perfect that is, it undergoes no conformational changes upon binding L1, L2 or L1-C-L2.

If this is the case, then we can rewrite the  $\Delta\text{G}$ -values of equations (1), (2) and (3) above by considering an "intrinsic affinity" of L1 and L2 for S1 and S2, respectively, and the loss of overall rotational and translational entropy of L1, L2 and L1-C-L2.

If we now rewrite the right hand sides of eqs 1,2,3 as:

$$\Delta\text{G(L1)} = \Delta\text{G(L1)}_{\text{intr}} - T\Delta\text{S}(r+t) \quad (5)$$

$$\Delta\text{G(L2)} = \Delta\text{G(L2)}_{\text{intr}} - T\Delta\text{S}(r+t) \quad (6)$$

$$\Delta\text{G(L1-C-L2)} = \Delta\text{G(L1-C-L2)}_{\text{intr}} - T\Delta\text{S}(r+t) \quad (7),$$

and with a perfectly rigid non-interacting Connector:

$$\Delta\text{G(L1-C-L2)}_{\text{intr}} = \Delta\text{G(L1)}_{\text{intr}} + \Delta\text{G(L2)}_{\text{intr}} \quad (8)$$

A key point is that, in spite of significant uncertainty about the numerical values of  $\Delta\text{S}(r+t)$ , statistical mechanics considerations indicates that these values are quite independent of molecular weight, and we assume these to be the same for L1, L2 and L1-C-L2.

### The Science of Linking Ligands (ctd.)

Since the Connector is perfectly rigid, no freezing of bonds of the Connector, i.e. no loss of conformational entropy of the Connector has to be taken into account.

By adding (5) and (6) we obtain:

$$\Delta G(L1) + \Delta G(L2) = \Delta G(L1)_{\text{intr}} + \Delta G(L2)_{\text{intr}} - 2 \cdot T\Delta S(r+t) \quad (9)$$

or:

$$\Delta G(L1)_{\text{intr}} + \Delta G(L2)_{\text{intr}} = \Delta G(L1) + \Delta G(L2) + 2 \cdot T\Delta S(r+t) \quad (10)$$

By substituting (8) into (7):

$$\Delta G(L1-C-L2) = \Delta G(L1)_{\text{intr}} + \Delta G(L2)_{\text{intr}} - T\Delta S(r+t) \quad (11)$$

By substituting (10) into (11) we obtain:

$$\Delta G(L1-C-L2) = \Delta G(L1) + \Delta G(L2) + T\Delta S(r+t) \quad (12)$$

Since  $T\Delta S(r+t)$  has a significant negative value we have the remarkable and very desirable result that in this specific case:

$\Delta G(L1-C-L2)$  is much MORE favorable than  $\Delta G(L1) + \Delta G(L2)$ !!!!

The estimates of the Rigid Body Entropy in the literature span a wide range of values. This is evident from the Table below which is kindly provided by Dr. Christophe Verlinde.

### Thermodynamics of Affinity Gain through Multi-valence

#### Key Papers:

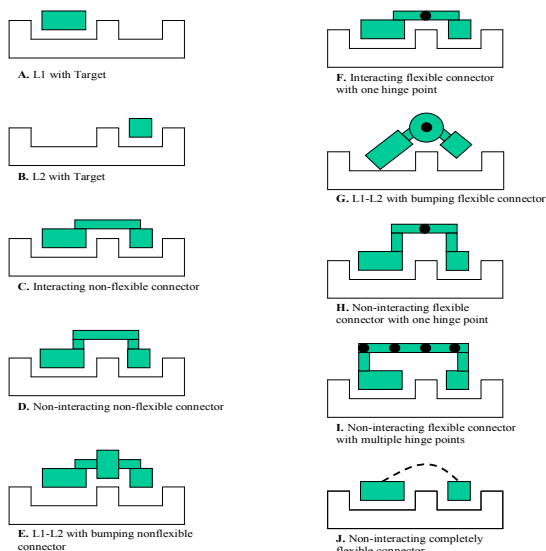
Reference	Notes	$T \cdot \Delta S_{\text{trans-rot}}$ at 298 K (kcal/mol)
Jencks W.P. (1981). On the attribution and additivity of binding energies. Proc. Natl. Acad. Sci. USA 78, 4046-4050.	Refers to 1971 paper!	12
Nakamura, Abeles (1985). J. Am. Chem. Soc. 24, 1364-1376.	Experimental fragmentation of HMG-CA inhibitor.	6.0
Finkelstein A.V., Janin J. (1989). The price of lost freedom: entropy of bimolecular complex formation. Prot. Eng. 3, 1-3.	Theoretical.	14 - 16
Tamura A., Privalov P.L. (1997). The entropy cost of protein association. J. Mol. Biol. 273, 1048-1060.	Calorimetric study: non-bonded versus S-S cross-linked dimers of subtilisin.	1.2
Amzel L.M. (1997). Loss of translational entropy in binding, folding and catalysis.	Theoretical. Rotational entropy is neglected (assumed to be small).	5.4 - 8.5
Sharp K.A. (1997). Energetics of cyclic dipeptide crystal packing and solvation. Biophys. J. 72, 913-927.	Calculations. Includes also vibrational entropy.	4.2
Shuker S.B., Hajduk P.J., Meadows R.P., Fesik S.W. (1996). Discovering high-affinity ligands for proteins: SAR by NMR. Science 274, 1531-1534.	Experimentally derived from comparing Kds.	
Carlow D., Wolfenden R. (1998). Substrate connectivity effects in the transition state for cytidine deaminase. Biochem. 37, 11873-11878.	Experimental fragmentation of substrate and inhibitors.	5.1 - 10.6
Williams D.H., Westwell M.S. (1998). Aspects of weak interactions. Chem. Soc. Rev. 27, 57-63.	Measurements in apolar solvents. No conclusion for water as solvent.	12 - 14
Hermans J., Wang L. (1997). Inclusion of loss of translational and rotational freedom in theoretical estimates of free energies of binding. Application to a complex of benzene and mutant T4 lysozyme. J. Am. Chem. Soc. 119, 2707-2714.	MD simulation of binding of benzene to T4 lysozyme mutant.	7

Courtesy of Dr. Christophe Verlinde



## The art of Linking Ligands (ctd.)

### The Power and Problems of Linking



## The Science of Linking Ligands (ctd.)

In view of the many possible ways the Linker (also called the "Connector"), can (i) affect the mutual orientation of the two Ligand fragments, (ii) interact with the Target, (iii) can be flexible or not, (See Fig above) it is not too surprising that different experiments have resulted in very different estimates of the rigid body entropy.

There are, unfortunately, very few - if any - cases known where we have all the high-resolution structures and affinities of T, T:L1, T:L2 and T:L1-C-L2 to discuss this topic further. But there are some very nice examples in the literature of significant gains in affinity upon linking ligands.

A recent paper on this topic (*Murray and Verdonck, J. Comp Aided Mol Design 16, 741-753 (2002)*) summarizes available data quite nicely – and also provides the statistical mechanical equations (pp 745 etc) which result in an equation relating the overall rigid-body entropy (i.e. the sum of translational and rotational entropy)  $S_{\text{rigid}}$  to the molecular weight  $m$  of the Ligand:

$$S_{\text{rigid}} = A + B \cdot R \ln m$$

Where A and B are molecular weight-independent constants, and R is the gas constant.  $S_{\text{rigid}}$  is logarithmically dependent on the molecular weight of the Ligand. These authors suggest that there is a considerable dependence of  $S_{\text{rigid}}$  on molecular weight. Specifically the difference in the  $\Delta G$  of binding of a ligand, at room temperature, for Ligands with molecular weights of 20 and 800 is about 46 kJ/mol. With B about 5, and R about 8.3 J per mol per K, and  $T = 298$  K, we obtain a free enthalpy difference :

$$\Delta\Delta G = T\Delta\Delta S = 5 \cdot 8.3 \cdot 298 \cdot \ln 3 = 13.6 \text{ kJ/mol} = 3.2 \text{ kcal/mol}$$

for any pair of molecules differing by a factor of 3 in molecular weight. These authors conclude therefore that:

**"it would appear that it is a poor approximation to assume that the loss of rigid-body entropy upon [Ligand] binding to a protein is a constant."**

In the following section this possibly significant molecular weight-dependence of rigid-body entropy will be ignored to keep the discussion simple.

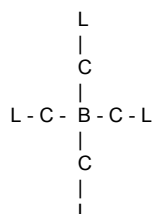
## The Real Great Fun of Multivalent Ligands.

In principle one can link together all sorts of weak binding ligands, making strings like L1-C1-L2-C2-L3, and on and on. This does, however, require each time the design or discovery of a new additional ligand, and that can be real tough going.

Multi-subunit proteins, composed of identical monomers, provide a real interesting case where one only has to discover a decent binding Ligand once, which then can be incorporated multiple times into a multivalent ligand. So for an N-meric Target macromolecule, almost always a protein, one can make different sorts of multi-valent Ligands.

One class is like strings on a bead, which for a tetrameric case results in something like : L-C-L-C-L-C-L .

Another class of multi-valent Ligands is spider-like with a central base B and identical connectors C extending from that base and ending in the originally monovalent Ligands L. For a tetravalent case this leads to:



## The Real Great Fun of Multivalent Ligands (ctd.)

In each of these cases the gain in free energy of binding is related to the free energy of the monovalent ligand L by a variation of equation (12):

$$\Delta G(N\text{-valent}) = N \cdot \Delta G(L) + (N-1) \cdot T \Delta S(r+t) \quad (13)$$

Even for relatively small  $T \Delta S(r+t)$  values, which are always negative, this can quickly lead to tremendous effects. However remember, the equations above are only true **for the perfect, rigid, non-interacting Connectors while ignoring any molecular-weight dependency of the overall translational and rotational entropy  $T \Delta S(r+t)$**  .

Note: It is an interesting exercise to see what a **perfectly rigid Connector interacting favorably with the Target** might be able to achieve in terms of binding affinity!

Note: And even more surprising is what a **perfectly flexible, non-interacting Connector** might achieve in increasing affinity in Multi-valent Ligands compared to its constitutive Monovalent Ligands. As we will see in a second.

**Acknowledgements**  
**Linking and Multivalency**

University of Washington  
Seattle

**Erkang Fan**  
**Christophe Verlinde**  
**Michael Gelb**