



2142-13

Advanced Conference on Seismic Risk Mitigation and Sustainable Development

10 - 14 May 2010

Seismic Hazard and Risk Assessment and Mitigation Policy in USA

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Zhenming Wang, PhD, PE

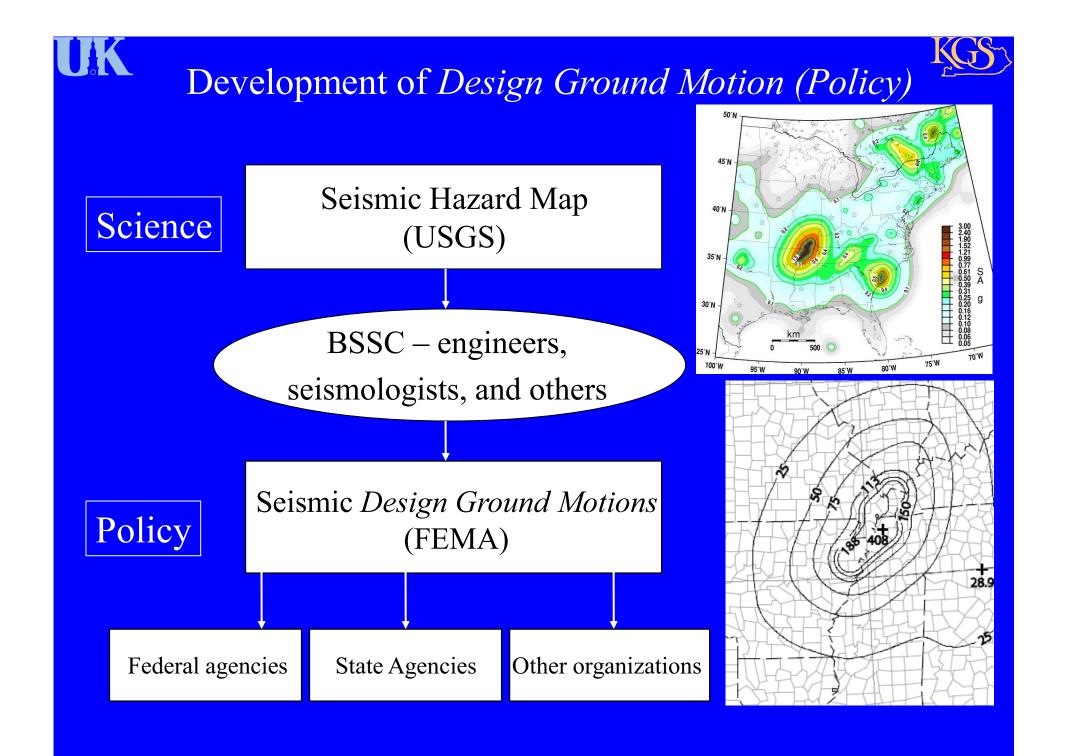
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ICTP Advanced Conference on Seismic Risk Mitigation and Sustainable Development 10 - 14 May 2010





- Introduction
 - The NEHRP Provisions
 - NRC Regulatory Guide 1.208
- Probabilistic Seismic Hazard Analysis (PSHA)
- Alternative Seismic Hazard Assessments
 - Seismic Hazard Analysis (SHA)
 - Deterministic Seismic Hazard Analysis (DSHA)
 - Neo-DSHA or Scenario-Based Hazard Analysis
- Lesson from Wenchuan, China, earthquake
- Summary







2009 NEHRP Provisions (Policy)

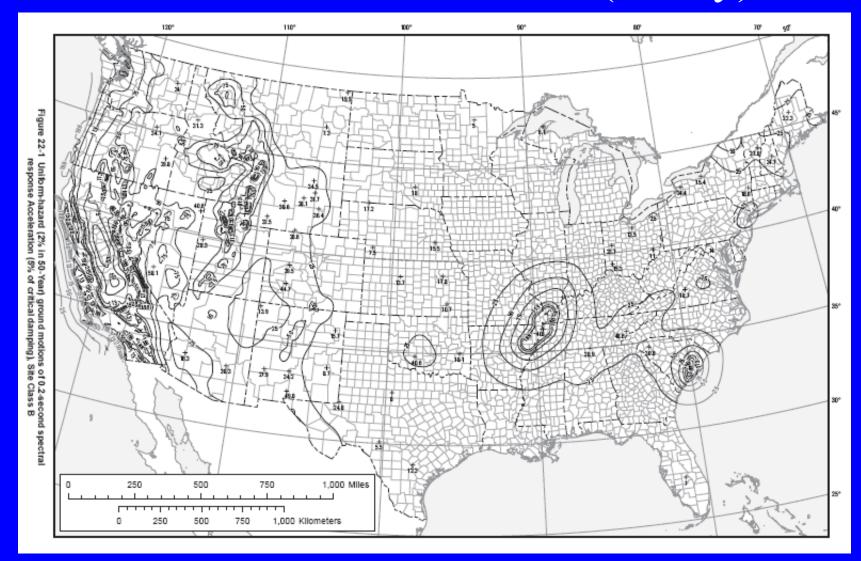
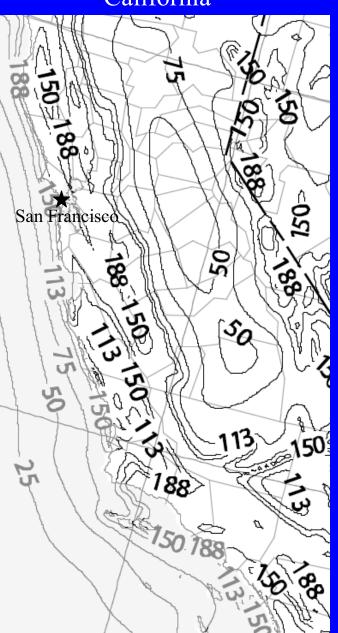


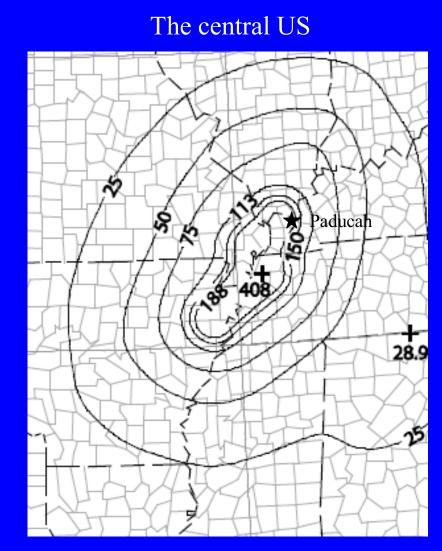
Figure 22-1 Uniform-hazard (2% in 50-Year) ground motions of 0.2-second spectral response Acceleration (5% of critical damping), Site Class B



California

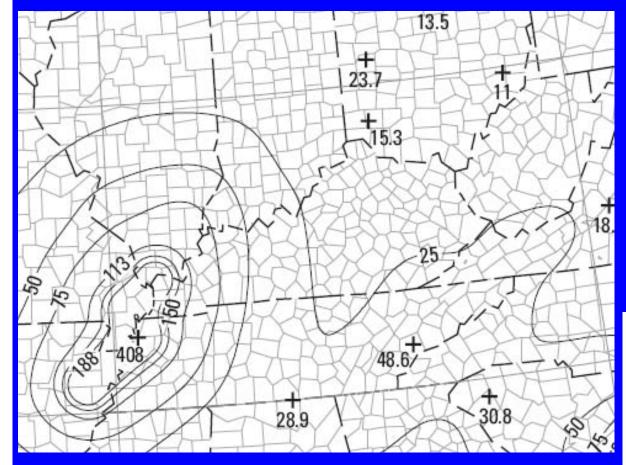








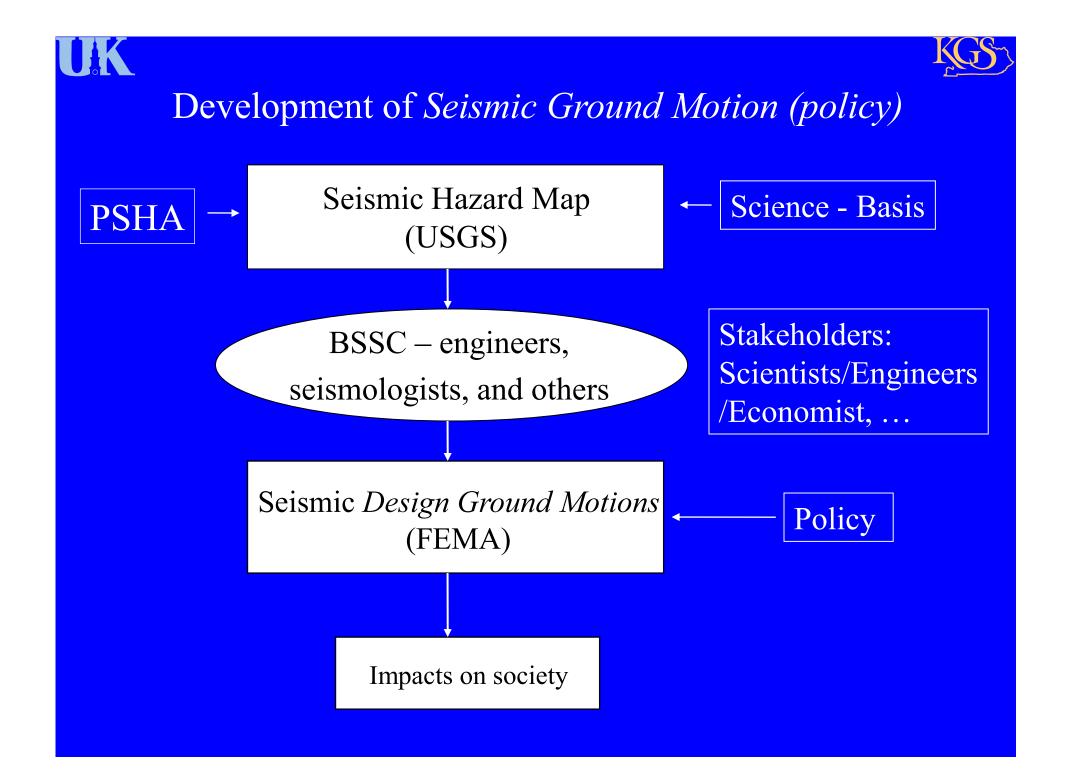




0.2-second spectral response Acceleration (5% of critical damping), Site Class B

1980 Sharpsburg Earthquake (M5.2)







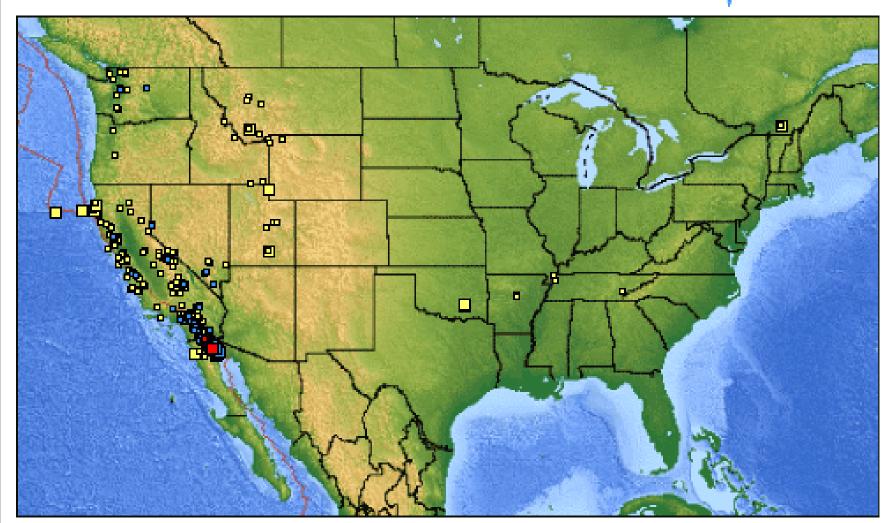
Seven-Day Earthquakes

ARES

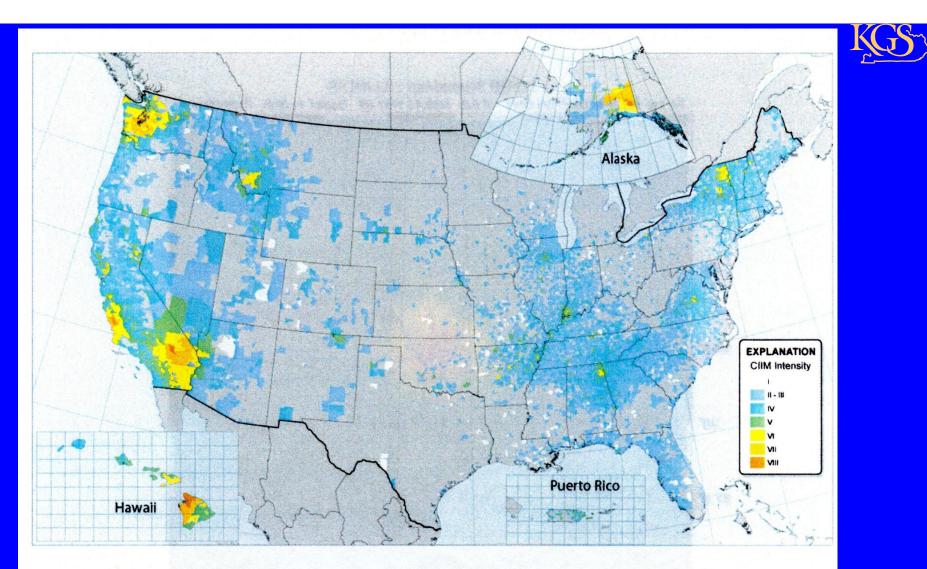


Mon Apr 19 15:46:28 UTC 2010

1803 earthquakes on these maps



CONTERMINOUS 48 STATES



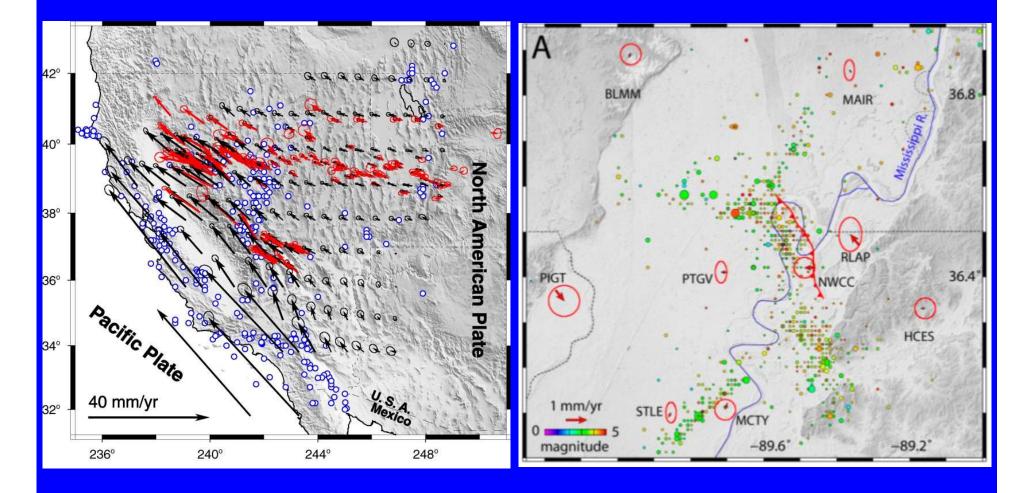
(Leith and others, 2009)

Figure 9. Composite DYFI? map of the U.S. (1988–2007) showing the maximum credible intensity reported by the public for each zip code for which there is reported felt information. To date, there are more than one million DYFI? entries for the U.S.





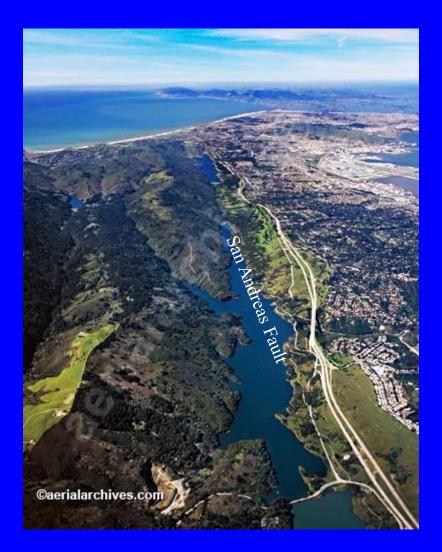
GPS results











Deformation rate: > 30 mm/y



Deformation rate: < 3 mm/y



NUCLEAR REG.



U.S. NUCLEAR REGULATORY COMMISSION

March 2007



OFFICE OF NUCLEAR REGULATORY RESEARCH

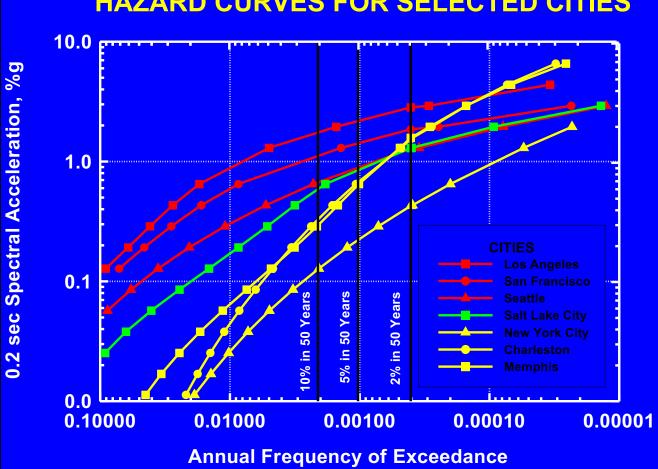
REGULATORY GUIDE 1.208

The general process to determine a site-specific, performance-based GMRS includes the following:

- (1) site- and region-specific geological, seismological, geophysical, and geotechnical investigations
- (2) a probabilistic seismic hazard analysis (PSHA)
- (3) a site response analysis to incorporate the effects of local geology and topography
- (4) the selection of appropriate performance goals and methodology







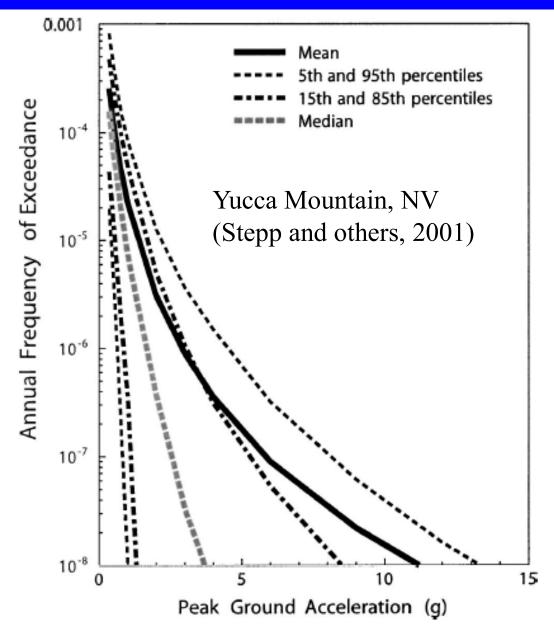
HAZARD CURVES FOR SELECTED CITIES

(Frankel and others, 1996)

NRC RG: $10^{-4} - 10^{-5}$

(annual frequency of exceedance)

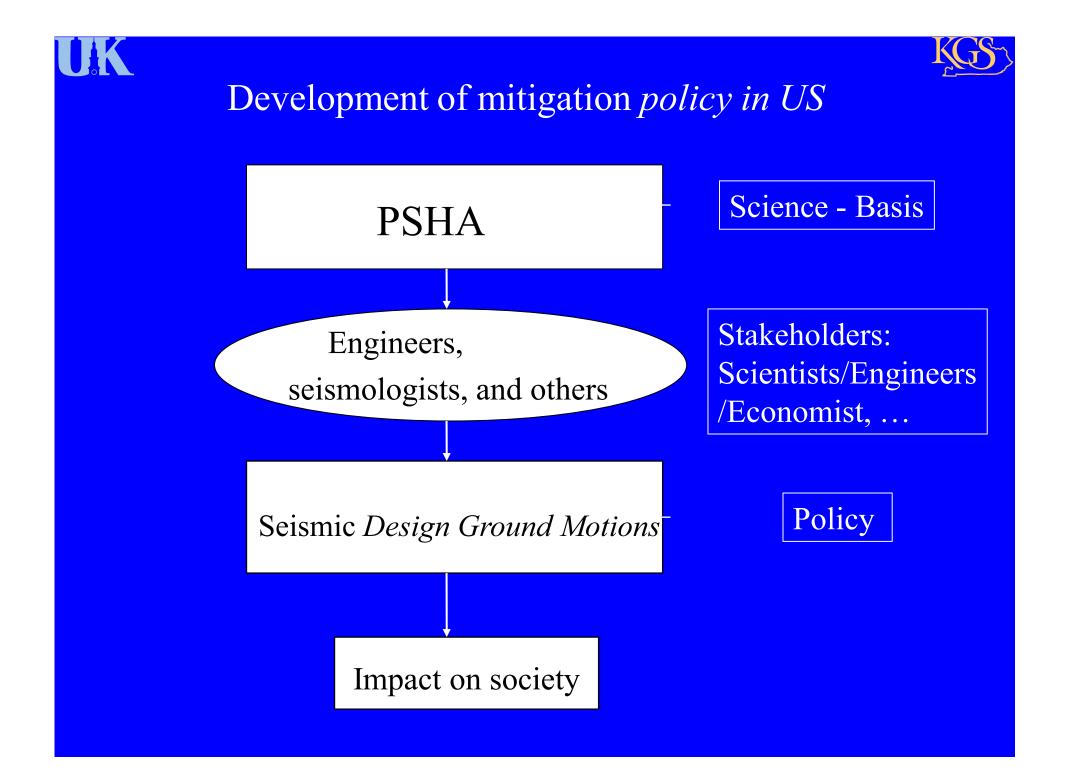




Example: 100,000,000y RP, 11g PGA?

It was concluded in 2008 that "while many of the observations we present here are preliminary, they nevertheless suggest that the 1998 PSHA overstates the true seismic hazard at <u>Yucca Mountain</u>" (Abrahamson and Hanks, 2008)





Seismic Hazard versus Seismic Risk

<u>Seismic Risk= Seismic Hazard @ Vulnerability</u>

- Seismic Hazard
 - Quantification:
 - Physical measurement (magnitude, PGA, MMI)
 - Temporal measurement
 - Spatial measurement

- Seismic Risk
 - Quantification:
 - Probability
 - Physical/monetary measurement
 - Temporal measurement
 - Spatial measurement

References

- 1. Wang, Z., 2009, Seismic hazard vs. seismic risk, *Seismological Research Letters*, **80**: 673–674.
- 2. Panza and others (in press), Introduction, Pure and Applied Geophysics, Special Volume on Advanced Seismic Hazard Assessment

K Seismic Hazard vs. Seismic Risk

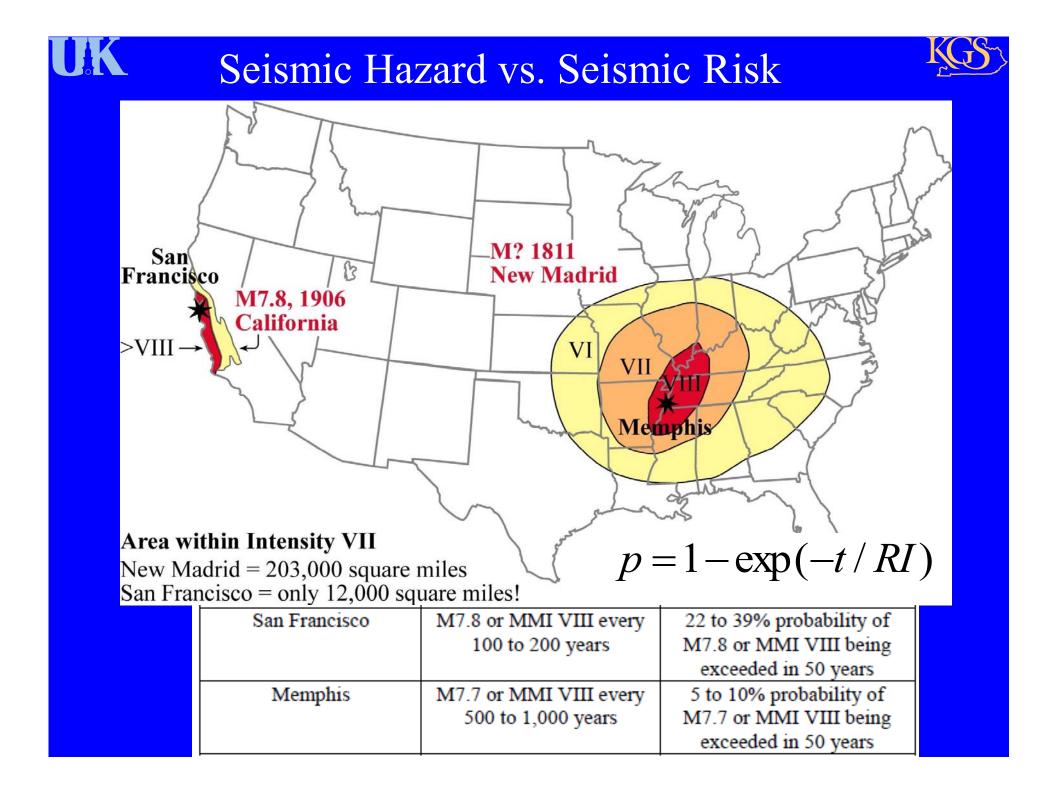
Seismic hazard: rock falls (rockfalls/minute)

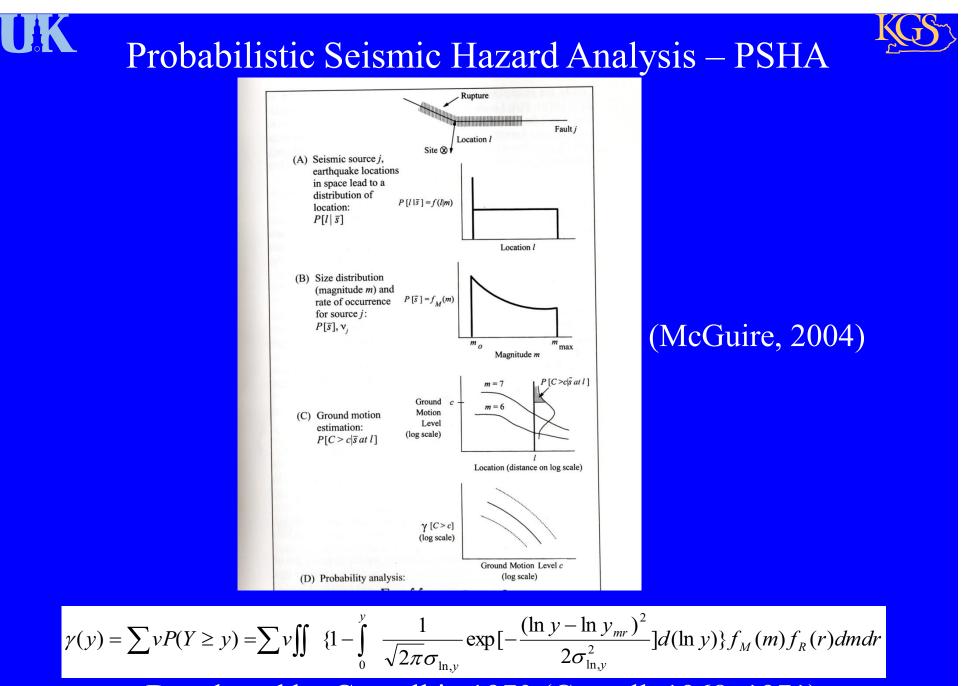
Vulnerability: car and people

Risk = Seismic Hazard Θ Vulnerability (the probability killed by a rockfall during passing through)

Consequence

Hazard may or may not be mitigated, but risk can always be reduced





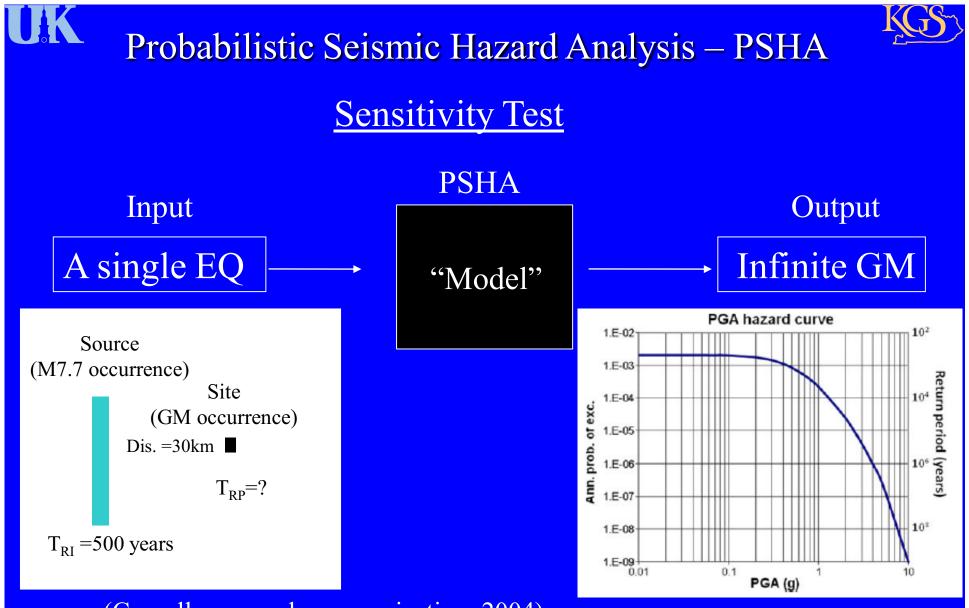
Developed by Cornell in 1970 (Cornell, 1968, 1971)





HAZARD CURVES FOR SELECTED CITIES 10.0 process %g **Spectral Acceleration**, 1.0 0.1 5% in 50 Years Years 10% in 50 Years Sec 50 <u>-</u> 0.2 2% 0.0 0.10000 0.01000 0.00010 0.00001 0.00100 **Annual Frequency of Exceedance**

PSHA end result: a hazard curve of ground motion vs. "frequency" at a site

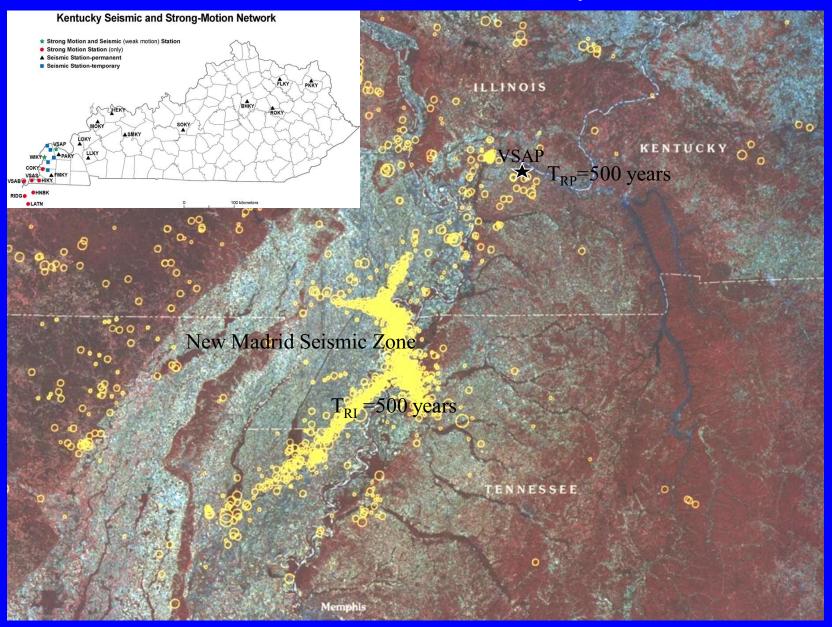


(Cornell, personal communication, 2004)

T_{RP}: 500y to infinity?

The return period: "the mean (average) time between occurrences of a seismic hazard, for example, a certain ground motion at a site" (McGuire, 2004, p.8).

U[®]K



What is PSHA?

$$\gamma(y) = \sum v P(Y \ge y) = \sum v \iint \{1 - \int_{0}^{y} \frac{1}{\sqrt{2\pi\sigma_{\ln,y}}} \exp\left[-\frac{(\ln y - \ln y_{mr})^{2}}{2\sigma_{\ln,y}^{2}}\right] d(\ln y) \} f_{M}(m) f_{R}(r) dm dr$$

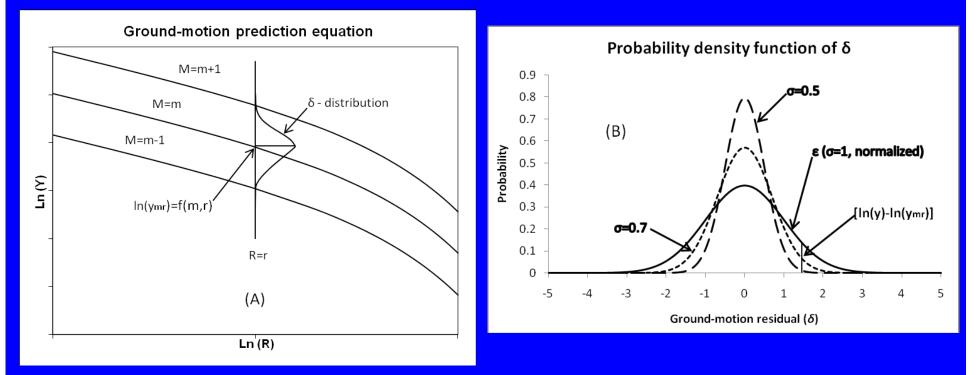
 $\gamma(y)$: the annual probability of ground motion y being exceeded

It was developed from <u>mathematical statistics</u> (Benjamin and Cornell, 1970; Mendenhall and others, 1986) under <u>four</u> <u>fundamental assumptions</u> (Cornell 1968, 1971):

(a) Constant-in-time average occurrence rate of earthquakes
(b) Equal likelihood of earthquake occurrence along a line or over an areal source (single point)
(c) Variability of ground motion at a site is independent
(d) Poisson (or "memory-less") behavior of earthquake occurrences.



GMPE: $\ln(Y) = f(M,R) + \delta = f(M,R) + \varepsilon \sigma$



1. δ distribution depends on σ , but not on ε 2. ε is a standardized normal distribution with a zero mean and standard deviation of 1

GMPE: $\ln(Y) = f(M,R) + \delta = f(M,R) + \varepsilon \sigma$

According to *mathematical statistics* (Benjamin and Cornell, 1970; Mendenhall and others, 1986), if and only if *M*, *R*, and δ are independent random variables, then the exceedance probability $P[Y \ge y]$ for seismic source *j* is

$$P_{j}[Y \ge y] = \iint \{1 - \int_{0}^{y} \frac{1}{\sqrt{2\pi\sigma_{j}}} \exp\left[-\frac{(\ln y - \ln y_{mr})^{2}}{2\sigma_{j}^{2}}\right] d(\ln y) \} f_{M,j}(m) f_{R,j}(r) dm dr$$



Assumption (a): Constant-in-time average occurrence rate of earthquakes. For G-R relationship

$$\lambda = rac{1}{ au} = e^{lpha - eta M} \quad m_0 \leq M \leq m_{ ext{max}}$$

M is independent

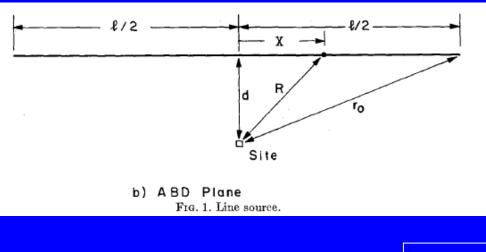
PDF for M

$$f_M(m) = \frac{\beta e^{-\beta(m-m_0)}}{1 - e^{-\beta(m_{\max} - m_0)}} \qquad m_0 \le m \le m_{\max} \ .$$





Assumption (b): Equal likelihood of earthquake occurrence along a line or over an areal source (single point)

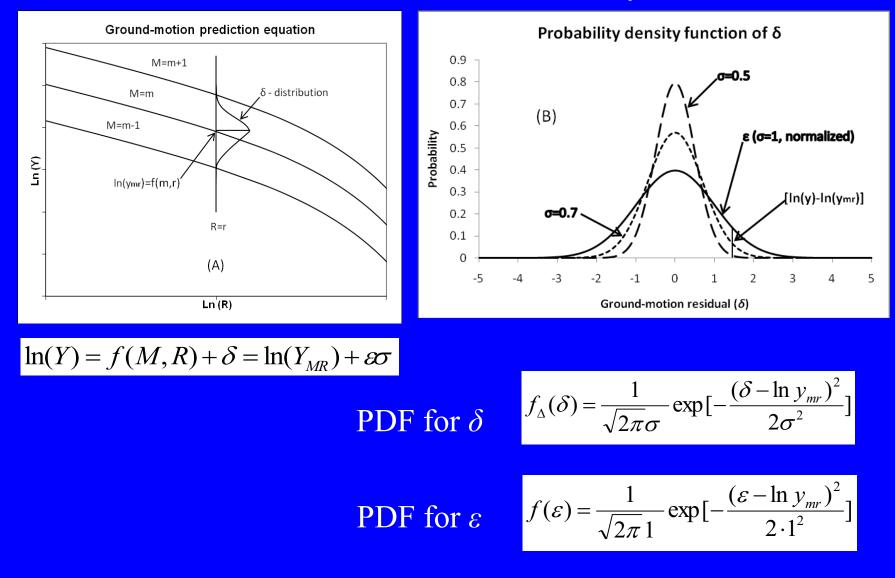


PDF for *R*

$$f_{\mathbb{R}}(r) = \frac{dF_{\mathbb{R}}(r)}{dr} = \frac{d}{dr} \left(\frac{2\sqrt{r^2 - d^2}}{l} \right)$$
$$= \frac{2r}{l\sqrt{r^2 - d^2}} \qquad d \leq r \leq r_0.$$

R is independent

(Cornell, 1968)



Assumption (c): Variability of ground motion at a site is independent

Assumption (d) Poisson (or "memory-less") behavior of earthquake occurrences

fault. Next we must consider the question of the random number of occurrences in any time period. For illustration, it is assumed that the occurrences of these major events follow a Poisson arrival process (Parzen, 1962; Cornell, 1964) with average occurrence rate (along the entire fault) of ν per year. Then, \tilde{N} , the number of events of interest along the fault in a time interval of length t years is known to be Poisson distributed

$$p_{\tilde{N}}(n) = P[\tilde{N} = n] = \frac{e^{-\nu t}(\nu t)^n}{n!} \qquad n = 0, 1, 2, \cdots.$$
 (18)

It is easily established that, if certain events are Poisson arrivals with average arrival rate ν and if each of these events is independently, with probability p, a "special event," then these special events are Poisson arrivals with average rate $p\nu$. (This is said to be a Poisson process with ("random selection.") In our case the special events are those which cause an intensity at the site in excess of some value *i*. The probability, p_i , that any event of interest ($M \ge m_0$) will be a special event is given by equation 12.

$$p_{i} = P[I \ge i] = \frac{1}{l} CG \exp\left[\frac{-\beta}{c_{2}} i\right]. \quad P_{j}[Y \ge y] = \iint \{1 - \int_{0}^{y} \frac{1}{\sqrt{2\pi\sigma_{j}}} \exp\left[-\frac{(\ln y - \ln y_{mr})^{2}}{2\sigma_{j}^{2}}\right] d(\ln y)\} f_{M,j}(m) f_{R,j}(r) dm dr$$

Thus the number of times N that the intensity at the site will exceed i in an interval of length t is

$$p_N(n) = P[N = n] = \frac{e^{-p_i \nu t} (p_i \nu t)^n}{n!} \qquad n = 0, 1, 2, \cdots.$$
 (20)

(page 1590 of Cornell, 1968)

$$\mathcal{V}_{j} = \mathcal{Q}^{j} \mathcal{V}_{j}^{T}$$
$$\mathbf{I} = c_{1} + c_{2}M - c_{3}\ln R$$
$$\ln(Y) = f(M,R) + \delta = f(M,R) + \varepsilon \sigma$$
$$\lim_{k \to \infty} \frac{||\mathbf{y} - ||\mathbf{y}_{m}||^{2}}{2\sigma_{j}^{2}} d(||\mathbf{y}|) f_{M,j}(m) f_{R,j}(r) dm dr$$

 $\alpha_i - \beta_i m_0$

Pre-condition (1), $t \equiv 1$ (year)

Of particular interest is the probability distribution of $I_{\max}^{(t)}$ the maximum intensity over an interval of time t (often one year). Observe that

 $P[I_{\max}^{(i)} \leq i] = P[\text{exactly zero special events in excess of } i]$

occur in the time interval 0 to t]

 $e^x = 1 + x + \frac{x^2}{2} + \dots +$

which from equation (20) is

$$P[I_{\max}^{(t)} \le i] = P[N = 0] = e^{-p_i \nu t}.$$
(21)

If we let I_{\max} equal $I_{\max}^{(1)}$, the annual maximum intensity, t = 1, and

$$F_{I_{\max}^{(i)}} = e^{-p_i \nu} = \exp\left[-\hat{\nu} C G \exp\left(-\frac{\beta}{c_2} i\right)\right] \qquad i \ge i' \tag{22}$$

Pre-condition (2) Small annual prob. of exc. ≤ 0.05

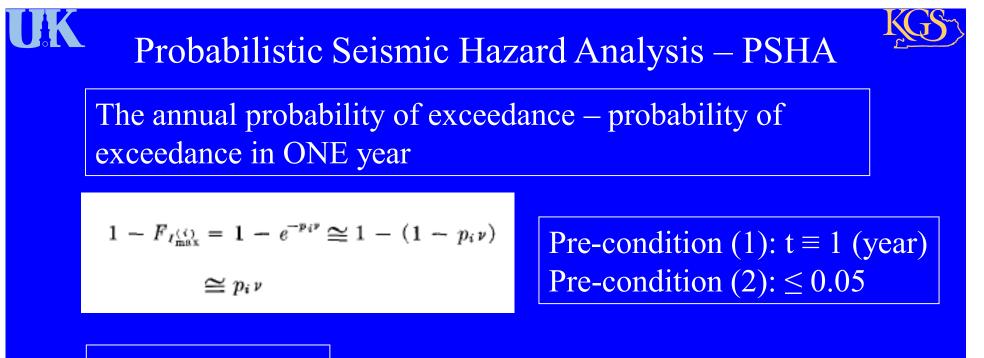
If the annual probabilities of exceedance are small enough (say ≤ 0.05), the distribution of I_{max} can be approximated by

$$1 - F_{I_{\max}^{(i)}} = 1 - e^{-p_i \nu} \cong 1 - (1 - p_i \nu)$$

$$\cong p_i \nu$$

$$\cong \rho CG \exp\left(-\frac{\beta}{c_2}i\right) \qquad i \ge i'. \tag{23}$$

(page 1590-91 of Cornell, 1968)



The return period

The average return period, T_i , of an intensity equal to or greater than *i* is defined as the reciprocal of $1 - F_{I_{\max}^{(i)}}$ or

Basic Equation of PSHA (total annual probability of exceedance)

$$\gamma(y) = \sum v \iint \{1 - \int_{0}^{y} \frac{1}{\sqrt{2\pi}\sigma_{\ln,y}} \exp\left[-\frac{(\ln y - \ln y_{mr})^{2}}{2\sigma_{\ln,y}^{2}}\right] d(\ln y) \} f_{M}(m) f_{R}(r) dm dr$$

Image: White Constant Cons

Assumption (d): Poisson (or "memory-less") model

1) Pre-condition (1) $t \equiv 1$ (year)

2) Pre-condition (2) small annual prob. of exc. ≤ 0.05

$$\gamma(y) = \sum v \iint \{1 - \int_{0}^{y} \frac{1}{\sqrt{2\pi\sigma_{\ln,y}}} \exp\left[-\frac{(\ln y - \ln y_{mr})^{2}}{2\sigma_{\ln,y}^{2}}\right] d(\ln y) \} f_{M}(m) f_{R}(r) dm dr$$

 If any of the assumptions is not valid, PSHA calculation is NOT valid.
 If any of the pre-conditions is violated, PSHA calculation is NOT valid.
 The annual probability of exceedance is a <u>PROBABILITY</u> of exceedance in ONE year and <u>dimensionless</u>.

Probabilistic Seismic Hazard Analysis – PSHA 10 9 Modified Mercalli Intensity 8 7 6 mmmm

The average return period, T_i , of an intensity equal to or greater than *i* is defined as the reciprocal of $1 - F_{I_{\max}^{(i)}}$ or

FIG. 4. Numerical example: Intensity versus return period.

500

200

100

0.01

2000

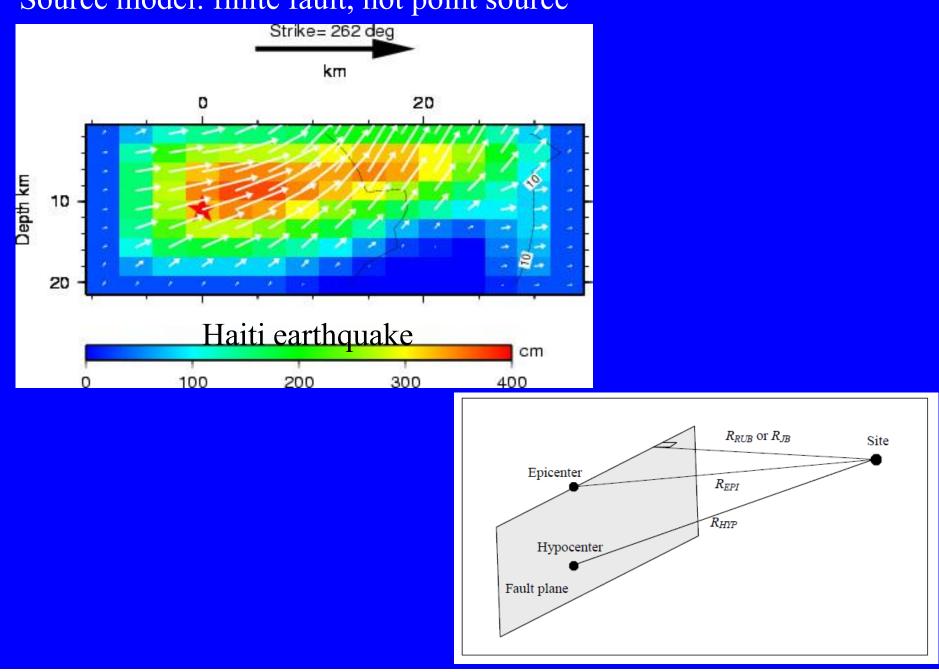
1000

0.001

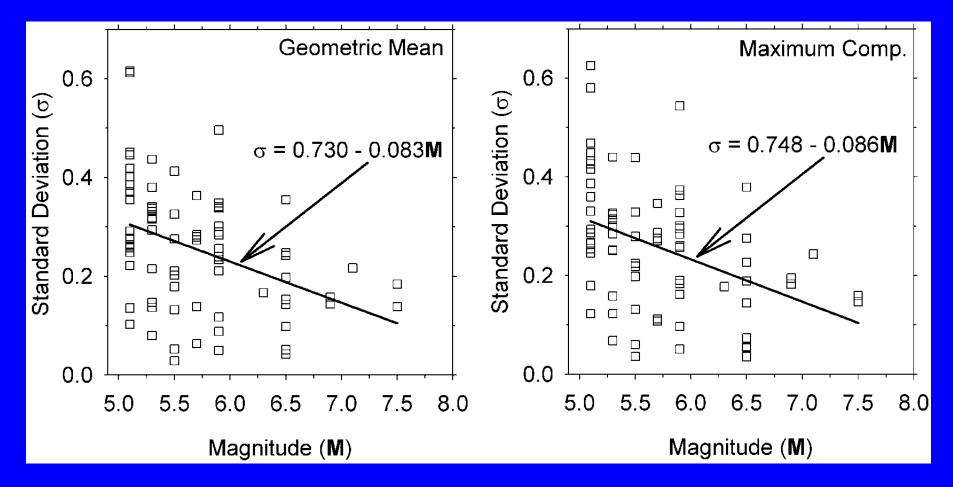
5000 Ti ,years

I-FImax(i)

Source model: finite fault, not point source



$\delta(\sigma)$ is not independent



Assumption (a): Constant-in-time average occurrence rate of earthquakes?

Assumption (b): Single point source – Not valid

Assumption (c): Variability of ground motion at a site is independent - No

Assumption (d): Poisson (or "memory-less") model - ?

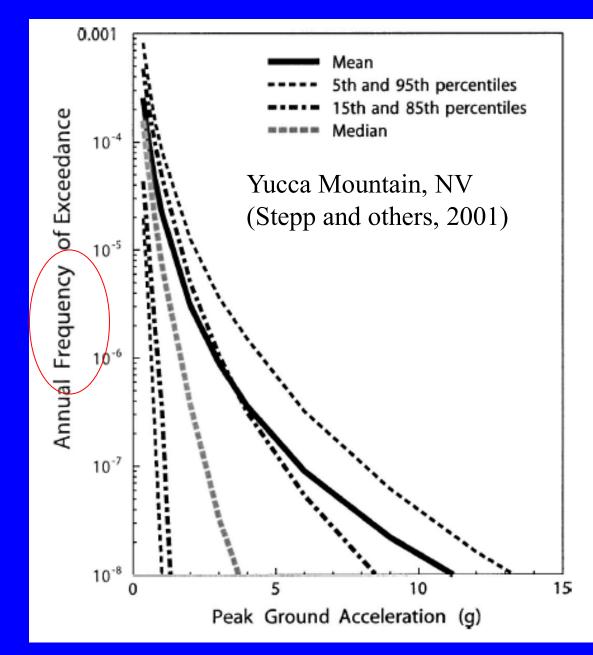
1) Pre-condition (1) $t \equiv 1$ (year)

2) Pre-condition (2) small annual prob. of exc. ≤ 0.05

$$\gamma(y) = \sum v \iint \{1 - \int_{0}^{y} \frac{1}{\sqrt{2\pi\sigma_{\ln,y}}} \exp\left[-\frac{(\ln y - \ln y_{mr})^{2}}{2\sigma_{\ln,y}^{2}}\right] d(\ln y) \} f_{M}(m) f_{R}(r) dm dr$$

1. PSHA (model) is NOT valid.

2. The annual probability of exceedance is a <u>PROBABILITY</u> of exceedance in ONE year and <u>dimensionless - Not "frequency"</u>.



PSHA could "create" 11g PG with a return period of 100,000,000 years.



Assumption (d) Poisson (or "memory-less") behavior of earthquake occurrences

$$1 - F_{I_{\max}^{(i)}} = 1 - e^{-p_i \nu} \cong 1 - (1 - p_i \nu)$$

 $\cong p_i \nu$

Pre-condition (1): $t \equiv 1$ (time unit) Pre-condition (2): ≤ 0.05

Example: tossing a coin



 $p_{h}=0.5$

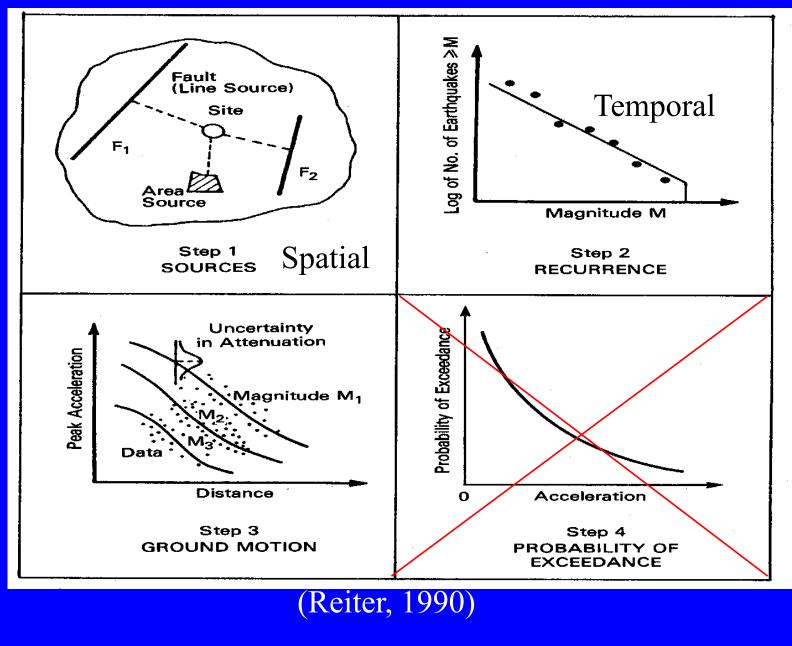
 $p_{t}=0.5$



The probability of having at least one head in 1 minute 5.0

v = 10 (tosses/min.)

Alternative Seismic Hazard Assessment



1. Seismic Hazard Assessment - Theoretical Log of No. of Earthquakes ≥M Temporal Fault (Line Source) $=e^{-2.303a+2.303bM}$ Site τ N F_2 Magnitude M step 1 Spatial Step 2 RECURRENCE Uncertainty Exceedance frequency in Attenuation Peak Acceleration Median+SD (84%) Magnitude M₁ Median-SD (16% Data median Distance Step 3 PGA GROUND MOTION $\ln(Y) = f(M, R) + \varepsilon \sigma$ $\tau = - e^{-2.303a + 2.303bg(R,\ln Y,\varepsilon\sigma)}$ $M = g(R, \ln Y, \varepsilon \sigma)$

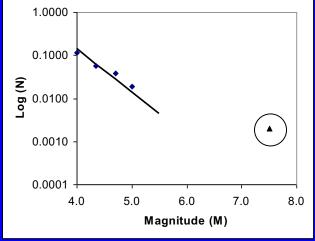
(Wang, 2006, 2007)

N

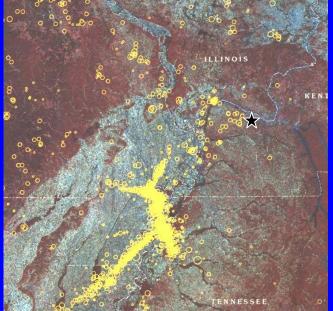


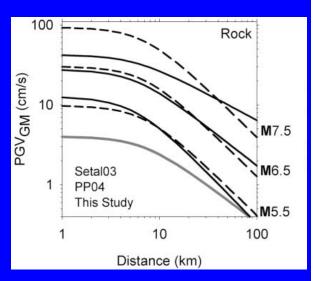
SHA to DSHA



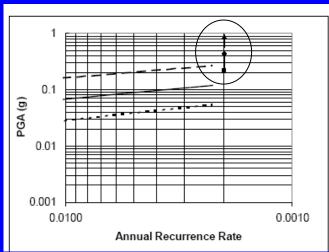


Characteristic earthquake: M7.5/RI=500y





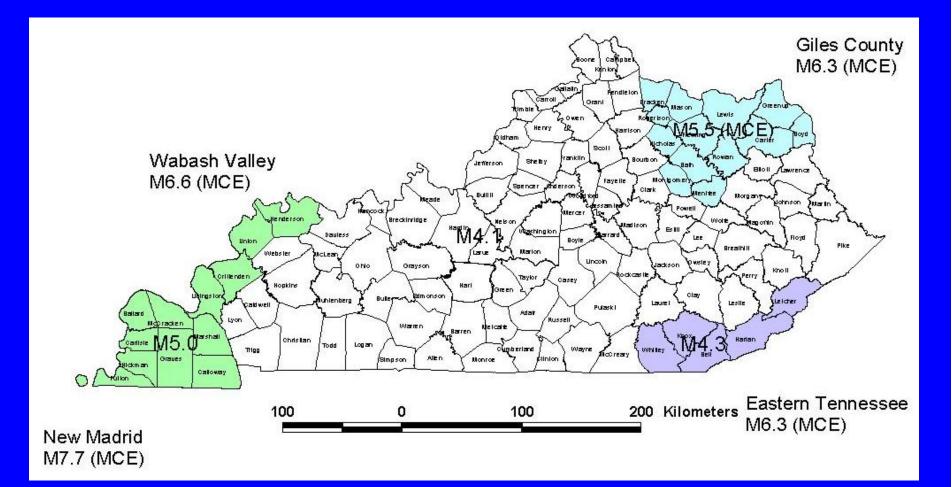
For one characteristic Earthquake: SHA becomes DSHA



Ground motion at 30km: 0.44g PGA (median) 0.22g PGA (median–SD) 0.88g PGA (median+SD) /RP≡500y



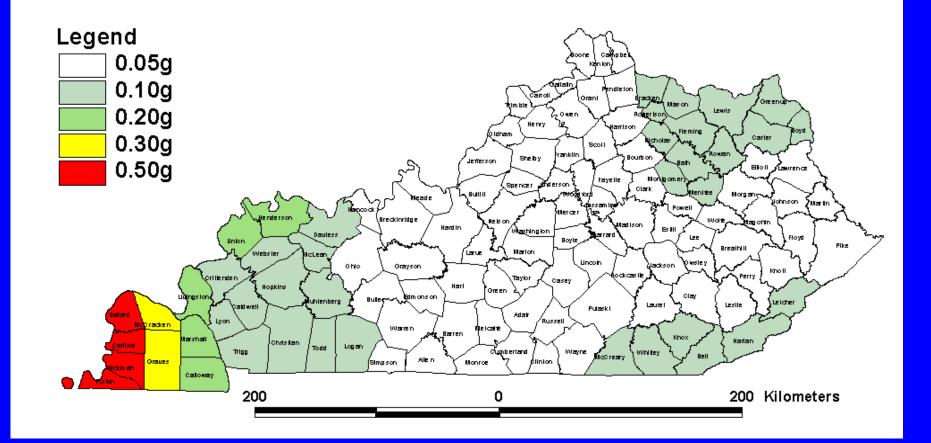




Maximum Credible Earthquake

UK



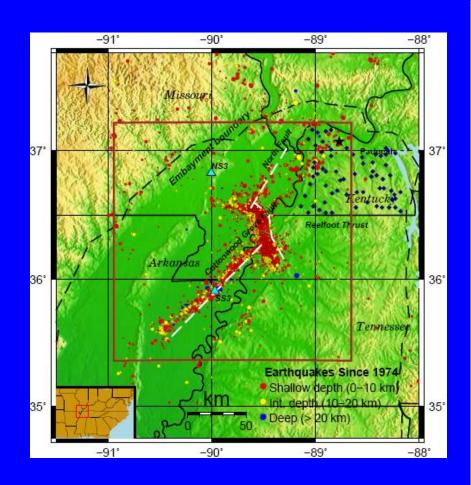


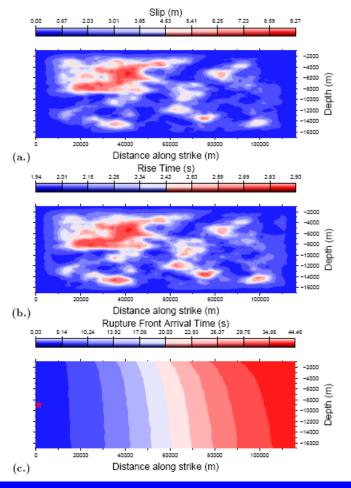
PGA for Maximum Credible Earthquake



SHA to DSHA to Neo-DSHA

Neo-DSHA (Panza and others, 2001)

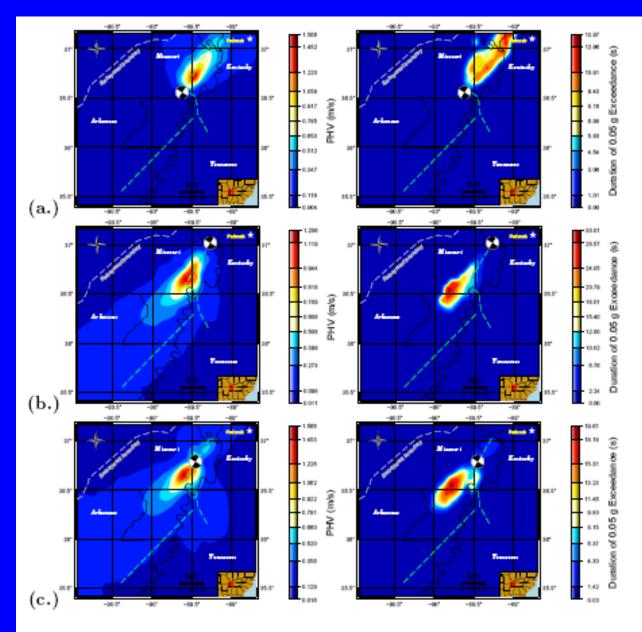




(Macpherson and others, 2009)



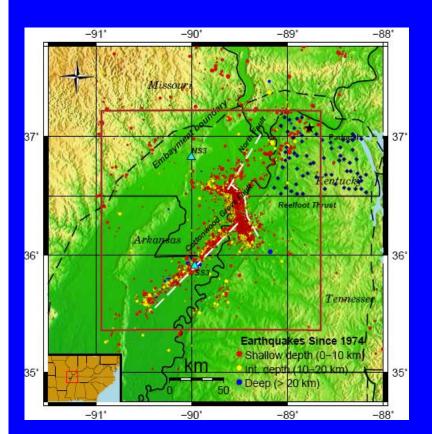
SHA to DSHA to Neo-DSHA



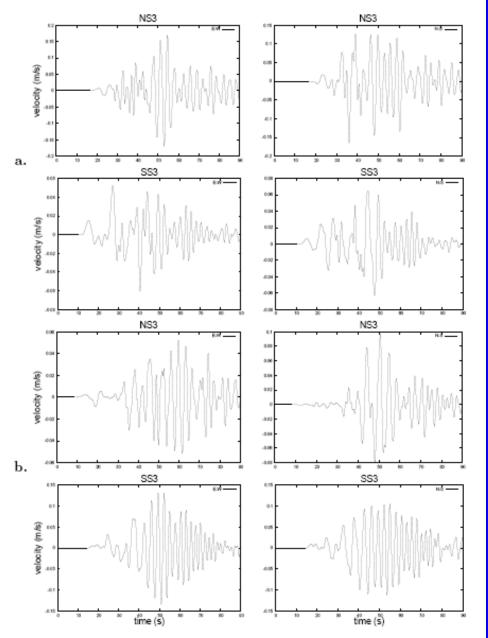
Limitation: <0.5 Hz

UK

SHA to DSHA to Neo-DSHA

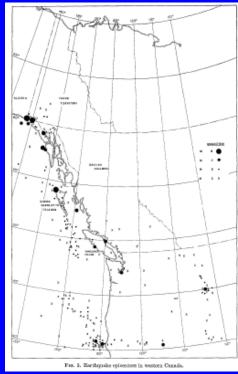


Reelfoot (central) fault rupture



2. Seismic Hazard Assessment - Empirical





(Historical records)

Seismic hazard curve: A vs. τ at a site

Step 2

Modified Mercalli	Rossi- Forel	JMA	Mercalli Cancani Sieberg	Medvedev Sponheuer Karnik	PGA (g)
I II IV V VI VII VII IX X XI	I TV V VI VII VIII IX	o I II III IV V VI VI	II III IV V VI VII VIII IX XI XII	I II IV V VI VII VII IX X XI XII	0.01-0.025 0.025-0.05 0.05-0.1 0.1-0.2 0.2-0.4 0.4-0.8 0.8-1.6 >1.6

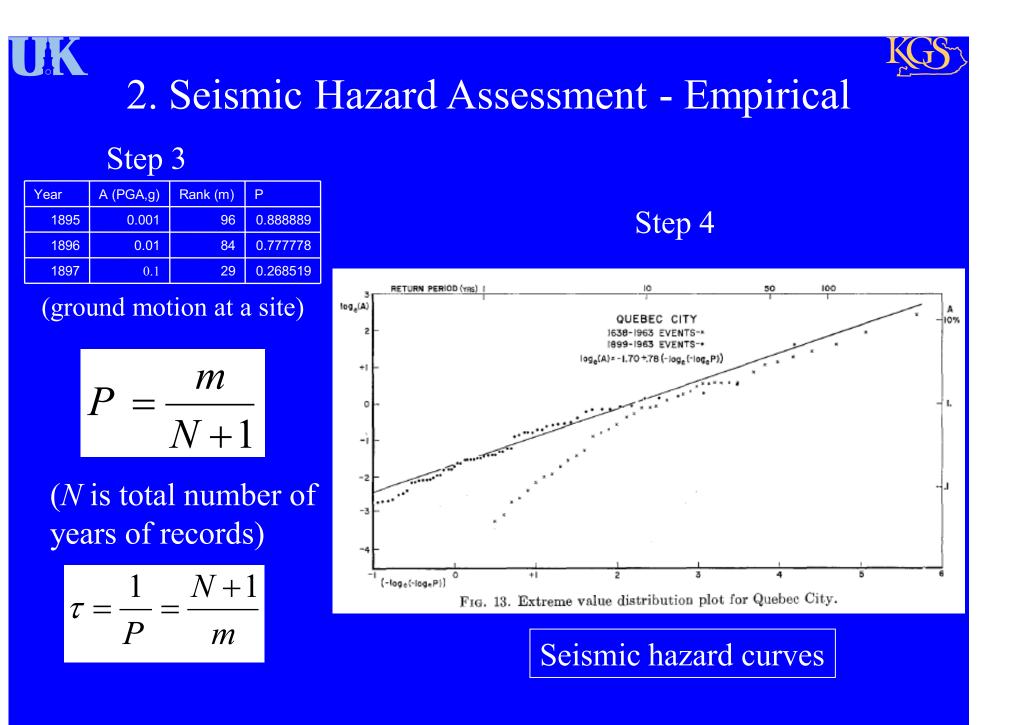
Intensity table (Panza)

(Milne and Davenport, 1969)

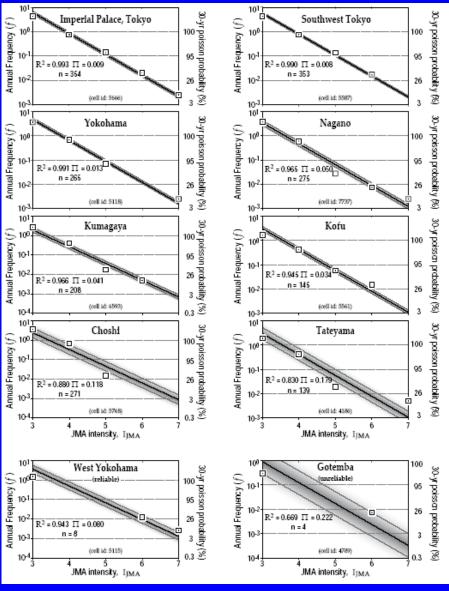
|--|

Year	A (PGA,g)	Rank (m)	Р
1895	0.001	96	0.888889
1896	0.01	84	0.777778
1897	0.1	29	0.268519

(ground motion at a site)

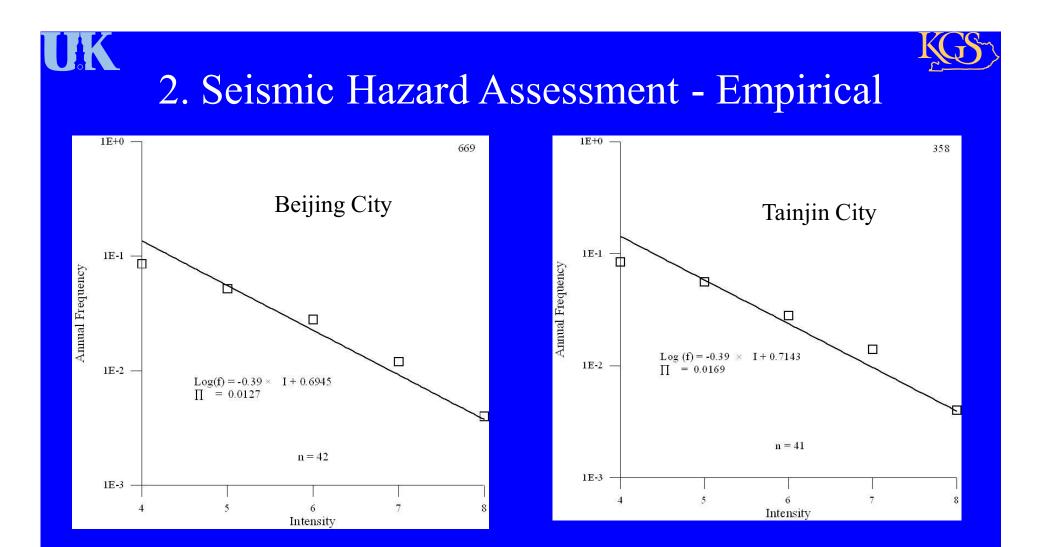


2. Seismic Hazard Assessment - Empirical



Tokyo, Japan (400-year data)

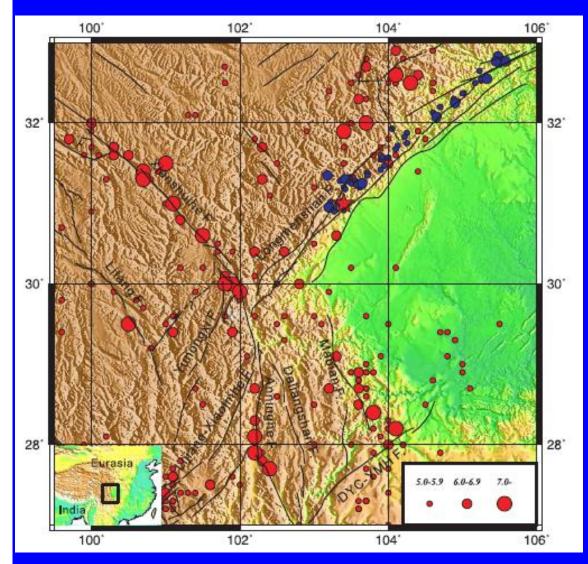
(Bozkurt and others, 2007)



Beijing area, China (500 years data) (Xie and others, in press)



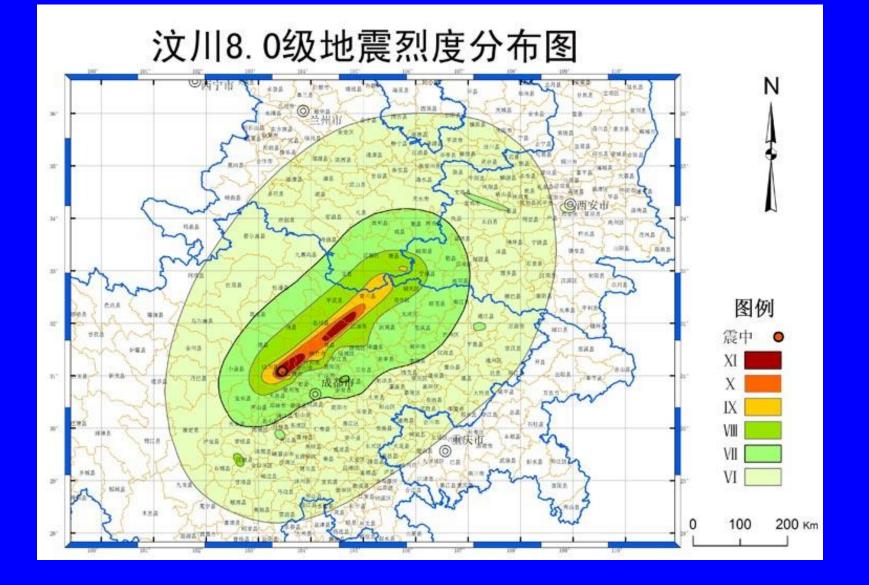
Lesson from Wenchuan Earthquake

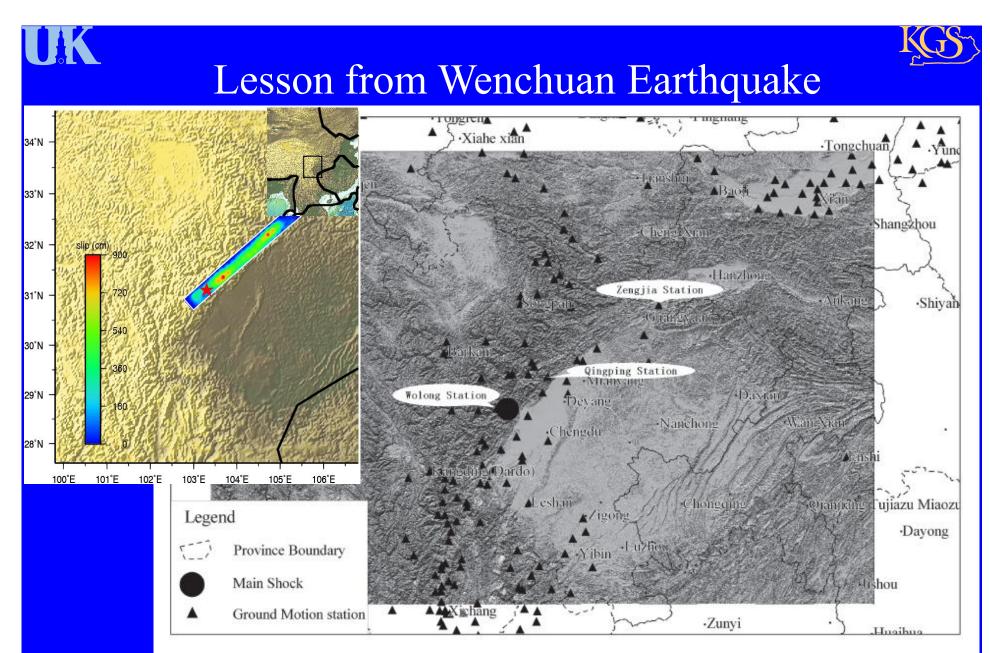


Magnitude: 8.0 (7.9 USGS) Fault Rupture: ~300 km x 30 km Surface Displacement: 5m (v), 4.8m (h) Largest Recorded PGA: 0.65g Death: ~70,000 Missing: ~20,000 Injured: ~380,000 Economic loss: >US\$120B



Lesson from Wenchuan Earthquake



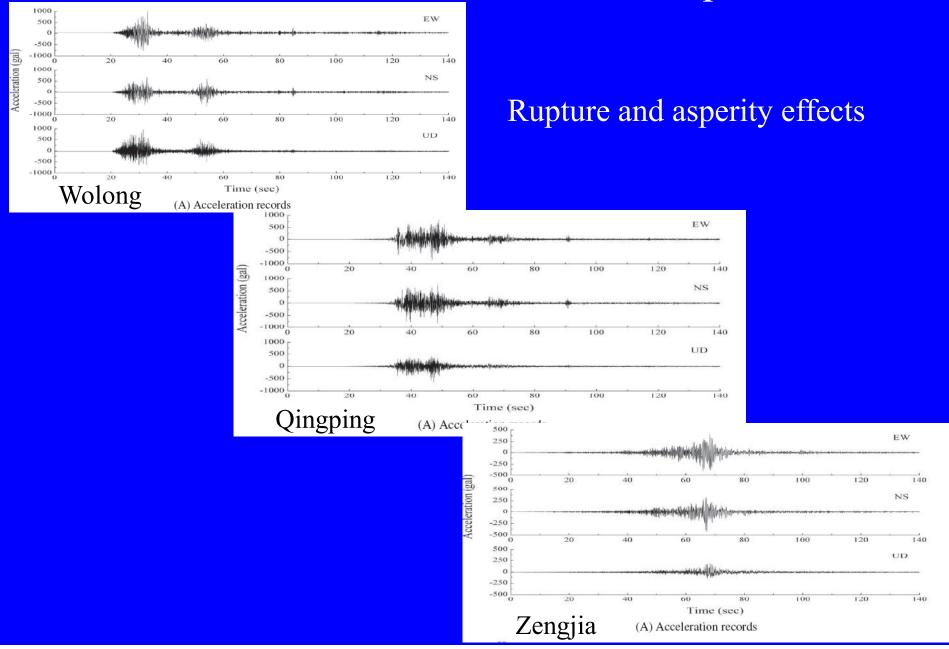


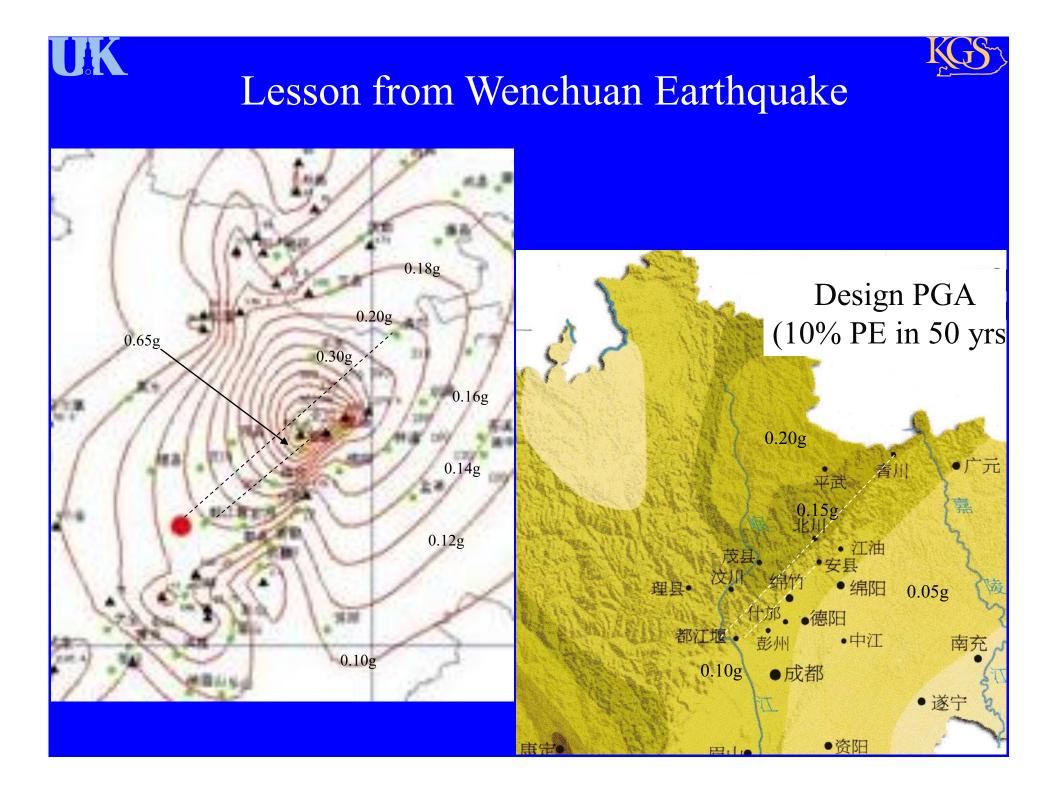
▲ Figure 4. Locations of strong-motion observation stations in the vicinity of the epicenter of the Wenchuan, China, earthquake of 12 May 2008 that recorded the mainshock. Locations of the three stations from which records are presented herein are indicated.

(Li and others, 2008)



Lesson from Wenchuan Earthquake









Summary

- Probabilistic seismic hazard analysis: PSHA (model) is flaw
 - Is not based on earthquake science
 - Invalid physical models
 - point source
 - Poisson distribution
 - Invalid mathematics
 - Mis-interpretation of annual probability of exceedance or return period
 - Become a pure numerical "creation"





Summary

- Alternative seismic hazard assessment
 - The goal of any seismic hazard assessment is to quantify
 - Physical measurement (ground motion)
 - Temporal measurement (when/how often)
 - Spatial measurement (where)
 - Approaches
 - Theoretical
 - SHA
 - DSHA
 - Neo-DSHA
 - Empirical





Summary

- Seismic hazard and risk are different concepts, and play different roles in policy making
- Earth-scientists, seismologists in particular, must
 - provide seismic hazard information that is consistent with modern sciences
 - also communicate the information in an understandable way
 - work with engineers and others to assess seismic risk





Thank you very much!