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**Winter College on Optics: Trends in Laser Development and Multidisciplinary
Applications to Science and Industry**

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INTERFEROMETRY: CONCEPTS AND APPLICATIONS

F. Mendoza Santoyo

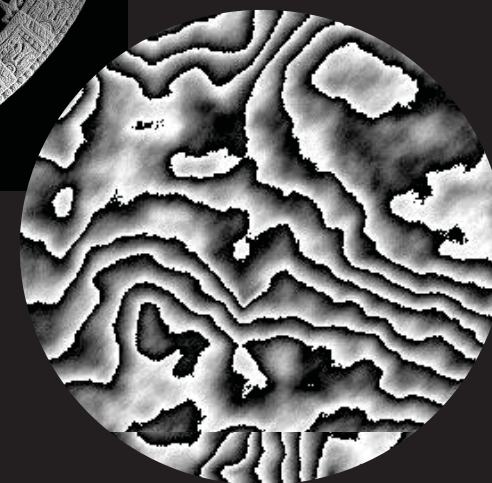
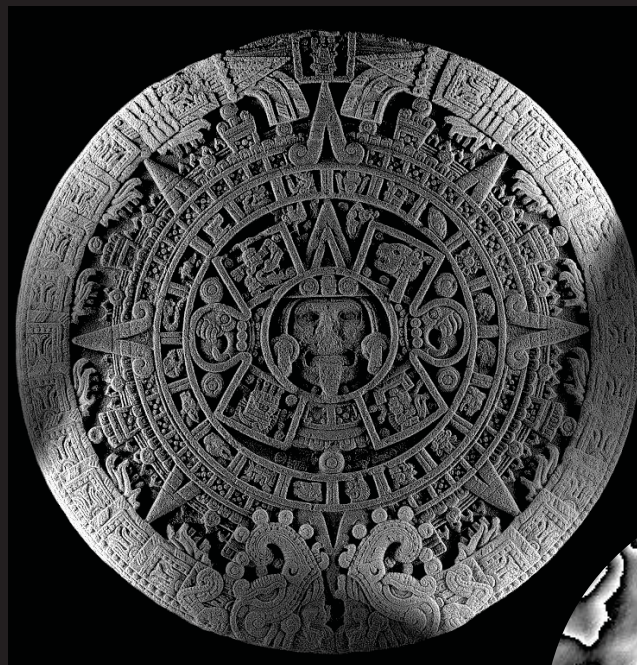
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INTERFEROMETRY: CONCEPTS AND APPLICATIONS

Fernando Mendoza Santoyo

WINTER COLLEGE ON OPTICS
ICTP, TRIESTE
13-14 February 2013





Outline of Presentation

- 1. Principles of Interferometry**
- 2. Some examples of Interferometric Systems**
- 3. ESPI and Digital Holographic Interferometry**

Recommended Literature:

- 1) Optical Metrology, K.J. Gasvik
- 2) Optics, M.V. Klein
- 3) Fundamentals of Optics and Modern Physics, H.D. Young
- 4) T. Kreis, "Handbook of Holographic Interferometry"
WILEY-VCH Verlag GmbH & Co.KGaA, 2005





Definitions

Interferometry: superposition of n E-M beams in space. The result of interference depends on the phase relations between the beams.

Interference relates to the interaction between propagating beams ,

while **refraction, scattering and diffraction** depend on the interaction between a beam and matter.



A short history of interferometry

1. XVIIc. – R. Boyle, R. Hook, observation and analysis of interference effects in a thin air layer limited by two glass plates which demonstrated the wave nature of light
2. 1690 – C. Huygens, Huyghens theorem (beginning of the wave theory of light)
Each element of a wavefront may be regarded as the center of a secondary disturbance which gives rise to spherical wavelets and the position of the wevefront at any latter time is the envelope of such wavelets
3. 1738 T. Young experiment confirmed Huyghens' hipothesis and gave the basis to modern theory of light coherence
4. 1818 – A. Fresnel – extension of Huyghens theorem, leading to so-called Huyghens-Fresnel principle - great importance in the diffraction theory and the basic postulate of the wave theory of light, development of stellar interferometry



A short history of interferometry

5. 1881 – Michelson experiment (speed of light) and his further works on interferometry, stellar interferometry, high resolution interferometric spectroscopy - he is considered as the father of interferometry (Nobel prize 1907)
6. 1916 – F. Twyman modifications of Michelson ineterferometer
7. 1960 – invention of laser: Schawlow, Maiman, Townes, Prochorow....
8. 1948 – Gabor principles of holography
9. 1962 -Leith and Upatnieks off-axis holography and development of holographic interferometry (works of Burch, Brooks, Collier, Stetson...)
10. 1970 – Archbold, Leendertz speckle interferometry and speckle photography
11. 1982- ..Development of phase based interferogram analysis methods
11. 1995-....Rapid progress in digital holography
12. 2000-...Rapid progress in active interferometry and holography



Fundamentals of interferometry

Vector of electric field

$$\bar{\mathbf{E}}_i(\bar{\mathbf{r}}, t) = \bar{\mathbf{E}}_{i0} \exp[i(\varphi_i(\bar{\mathbf{r}}) - \omega_i t)]$$

Resultant vector in two beam interferometry

$$\bar{\mathbf{E}}(\bar{\mathbf{r}}, t) = \sum_i \bar{\mathbf{E}}_i(\bar{\mathbf{r}}, t); \quad i = 1, 2$$

Result of two beam interference (E field intensity):

$$I(\mathbf{r}) \propto |\bar{\mathbf{E}}|^2 = |\bar{\mathbf{E}}_1 + \bar{\mathbf{E}}_2|^2 = (\bar{\mathbf{E}}_1 + \bar{\mathbf{E}}_2)(\bar{\mathbf{E}}_1 + \bar{\mathbf{E}}_2)^* = \bar{\mathbf{E}}_1 \bar{\mathbf{E}}_1^* + \bar{\mathbf{E}}_2 \bar{\mathbf{E}}_2^* + \bar{\mathbf{E}}_1 \bar{\mathbf{E}}_2^* + \bar{\mathbf{E}}_1^* \bar{\mathbf{E}}_2$$

$$I(\bar{\mathbf{r}}) = I_1 + I_2 + I_{12} = I_1 + I_2 + 2\sqrt{I_1 I_2} \cos[(\varphi_1(\bar{\mathbf{r}}) - \varphi_2(\bar{\mathbf{r}})) - (\omega_1 t - \omega_2 t)]$$

Conditions for stationary interference field:

$$\omega_1 = \omega_2$$

$$\varphi_1(\bar{\mathbf{r}}) - \varphi_2(\bar{\mathbf{r}}) = \text{const.}$$

Recommended: parallel
polarization of beams

Fundamentals of interferometry

For $\omega_1 = \omega_2$ (usually one source applied)

$$I(\vec{r}) = I_1 + I_2 + 2\sqrt{I_1 I_2} \cos(\varphi_1(\vec{r}) - \varphi_2(\vec{r})) = a(\vec{r}) + b(\vec{r}) \cos \varphi(\vec{r}) \cong 1 + \gamma(\vec{r}) \cos \varphi(\vec{r})$$

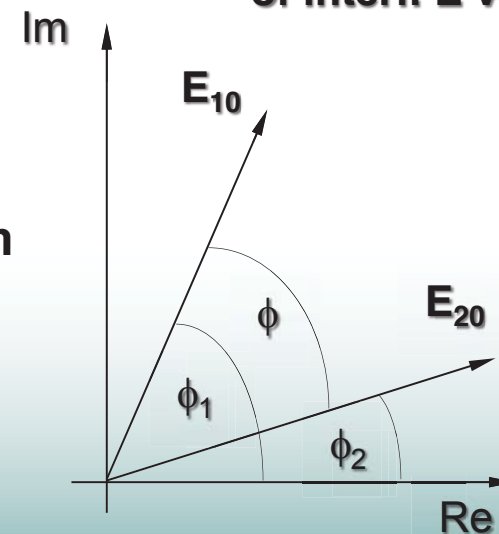
Where $a(r)$ and $b(r)$ are background and fringe modulation functions

$$\gamma = \frac{2\sqrt{I_1 I_2}}{I_1 + I_2} \quad \text{is contrast of interferogram}$$

$$\varphi(\vec{r}) = \varphi_1(\vec{r}) - \varphi_2(\vec{r})$$

is phase difference between the interfering beams

Graphic representation of interf. E vectors





The observable physical quantity is the intensity,

$$\begin{aligned} I &= |a|^2 = (a_1 + a_2)(a_1^* + a_2^*) = \\ &A_1^2 + A_2^2 + A_1 A_2 e^{i(\varphi_2 - \varphi_1)} + A_1 A_2 e^{-i(\varphi_2 - \varphi_1)} = \\ &I_1 + I_2 + 2\sqrt{I_1 I_2} \cos \Delta\varphi \quad (3) \end{aligned}$$

where $\Delta\varphi = \varphi_1 - \varphi_2$.

Output: interferogram





Modifications of interferograms help to retrieve phase

$$I(x, y, t) = a(x, y) + b(x, y)\cos[2\pi [(f_{ox}x + f_{oy}y) + \nu_o(t)] + \alpha(t) + \phi(x, y)]$$

Required controlled modifications of phase in FP:

$\nu_o(t)$ – introduces temporal heterodyning (running fringes)

$\alpha(t)$ – introduces controlled phase shifts

f_{ox}, f_{oy} – introduce spatial carrier fringes (spatial heterodyning)

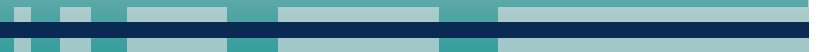
This will be discussed on Thursday

However the requirement to get a high quality interferogram:

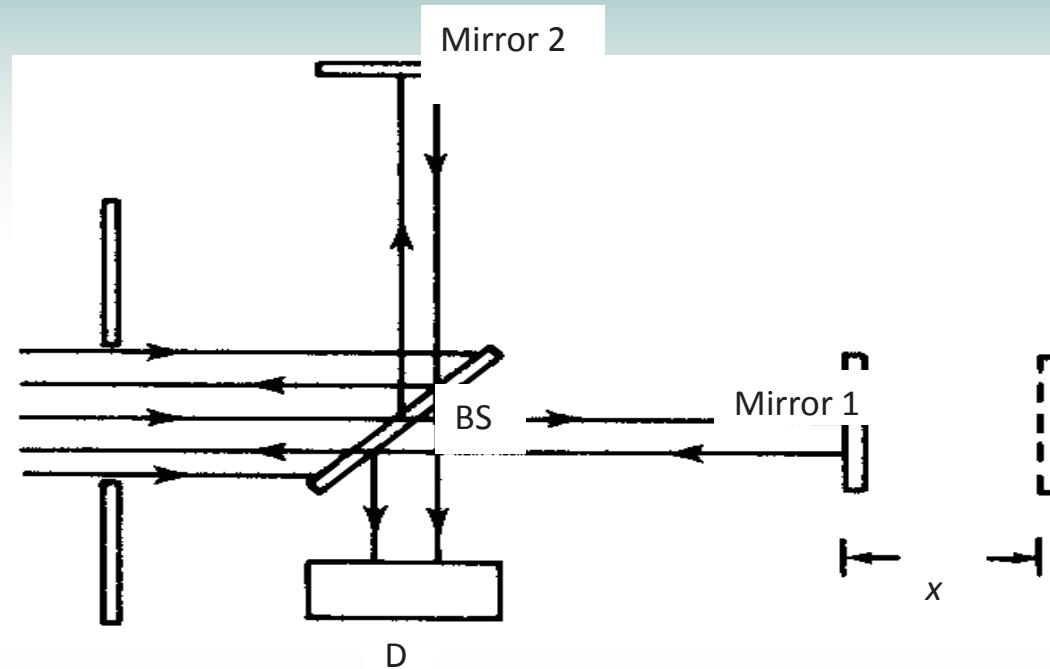
Source with spatial and temporal coherence.



Let's use the Michelson interferometer to determine the coherence length of a laser source



Michelson Interferometer



The length $2x$ for which we obtain the accepted contrast of fringes is considered as the coherence length of the source.

For white light : 1 μm , single mode stabilized He-Ne: 6km



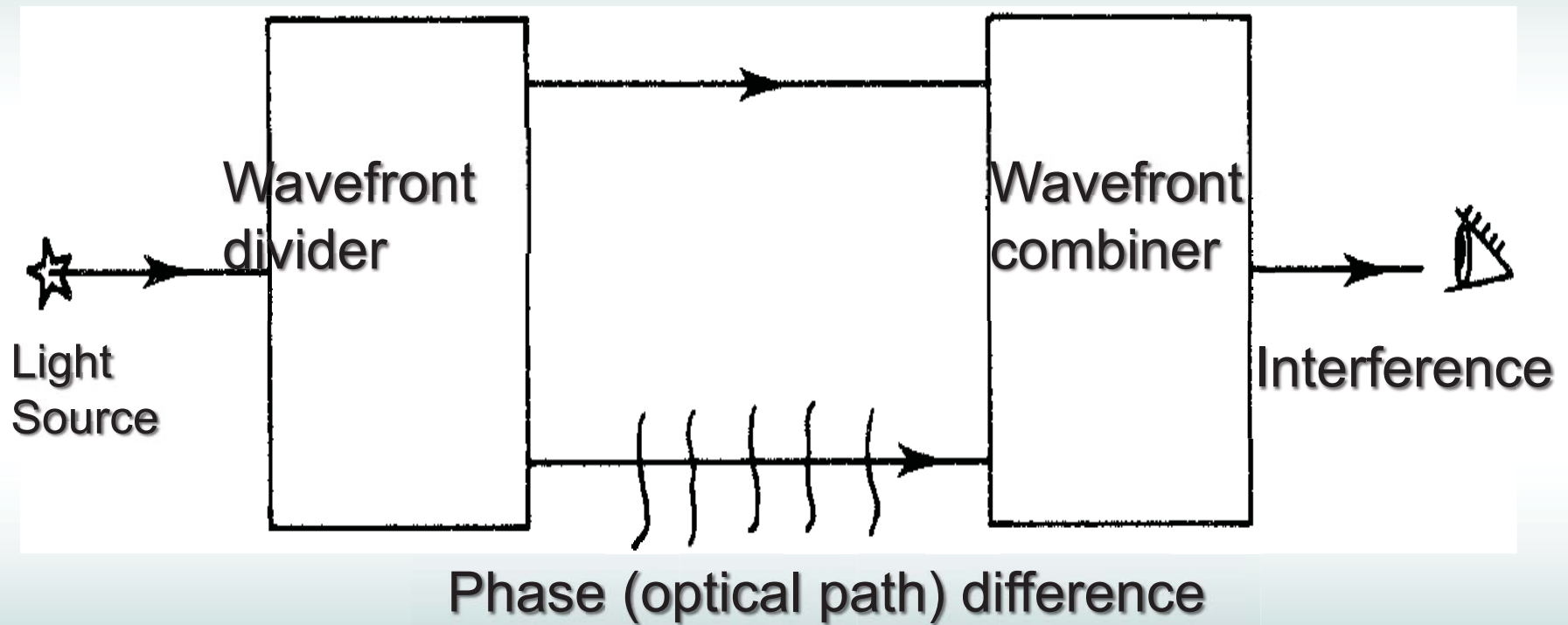
3. Useful Interferometers

Amplitude and Wavefront Division.....though there are other types (only a few)

“Light waves can interfere only if they are emitted by the same source”

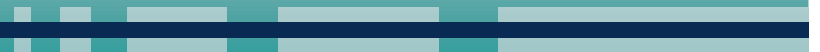


Interferometers



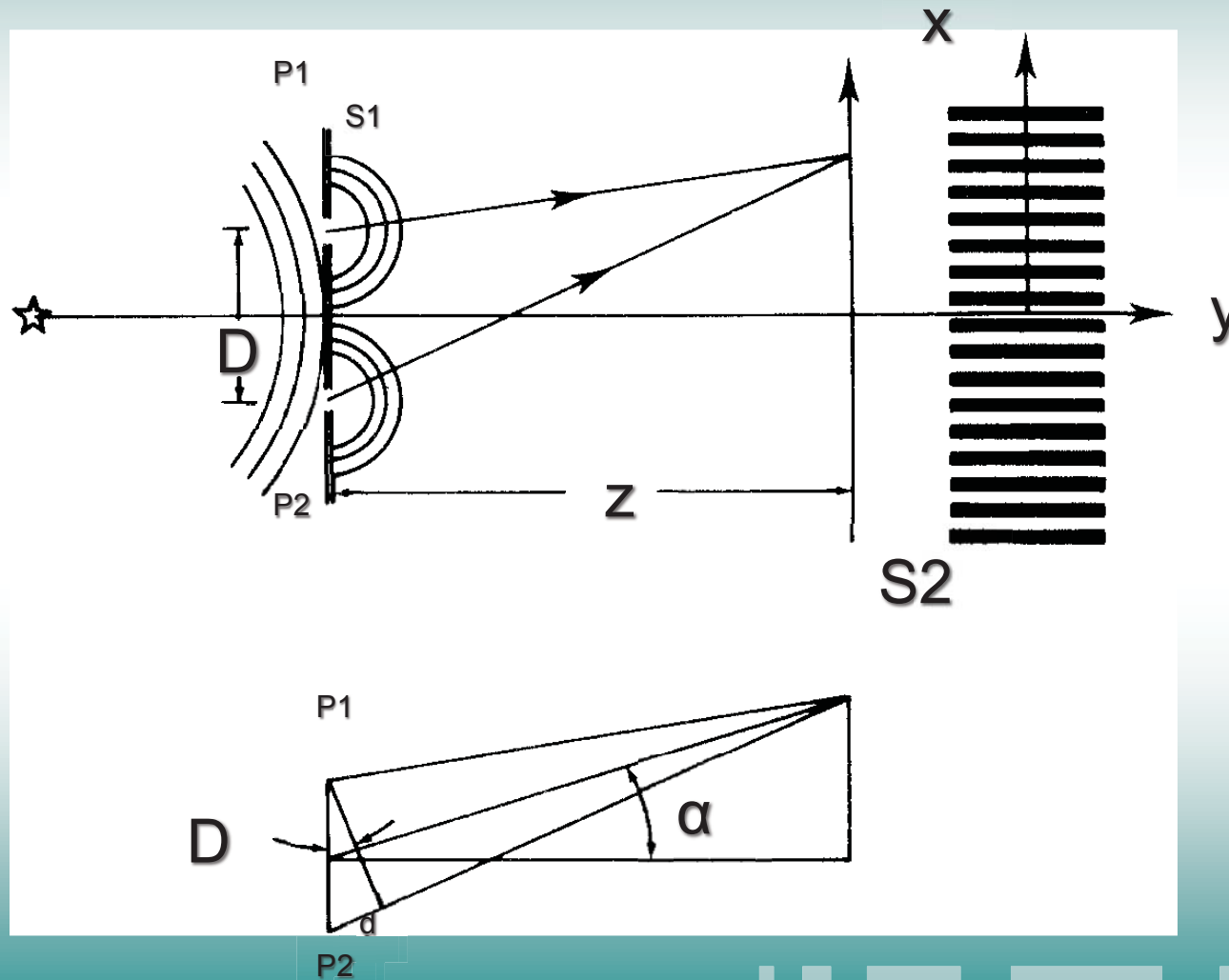


Wavefront Division





T. Young (1801)





if $z \gg D$, then

$$\frac{d}{D} = \frac{x}{z} \rightarrow d = \frac{Dx}{z} \therefore$$

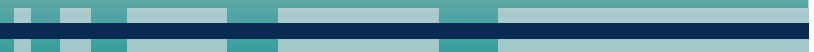
$$\Delta\theta = \frac{2\pi Dx}{\lambda z}$$

On substituting into eq (3)

$$I(x) = 2I \left(1 + \cos \left(\frac{2\pi Dx}{\lambda z} \right) \right) \quad (8)$$

This equation represents a fringe pattern parallel to the y axis, with period $\left(\frac{D}{\lambda z} \right)^{-1}$.

The Thomas Young interferometer is being used in FEL to measure its coherence!





An adaptation of Young's interferometer is used in Michelson's stellar interferometer to measure star diameters.

Other types of wavefront division interferometer are:

- Fresnel biprism
- Lloyd's mirror
- Michelson stellar



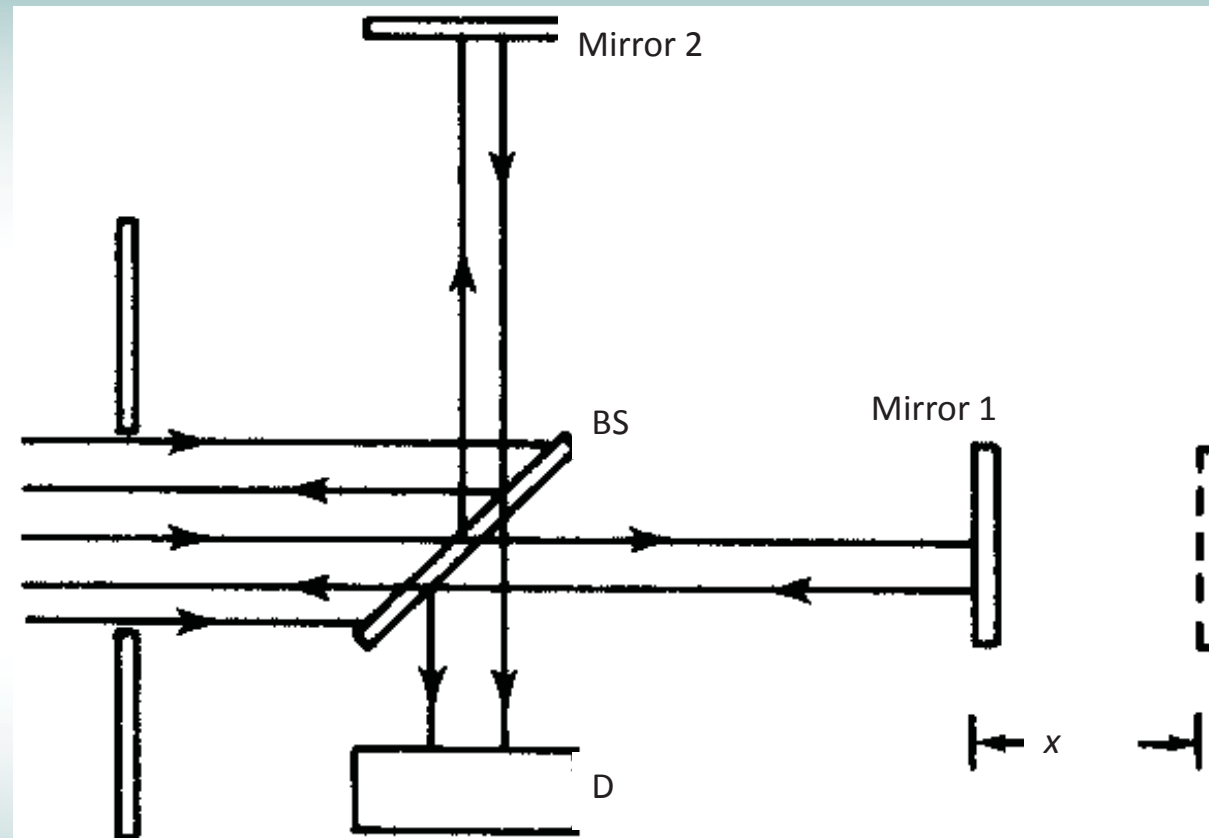


Amplitude Division





Michelson Interferometer





if mirror M2 is translated a distance x , the optical path difference with respect to mirror M1 is $2x$, thus

$$\Delta\theta = \left(\frac{2\pi}{\lambda}\right) 2x$$

That gives a total intensity on the detector,

$$I(x) = 2I \left(1 + \cos \left(\frac{4\pi x}{\lambda} \right) \right) \quad (9)$$





As the mirror 2 is translated a certain distance d , and by counting the number of maxima (bright fringe) per unit time it is possible to measure the speed of an object.

The Michelson Interferometer used with a low coherence source gives way to: low coherence reflectometry, LCR, and Optical Coherence Tomography, OCT. Study of semitransparent materials, biological tissues!





Other good examples of amplitude dividing interferometers are:

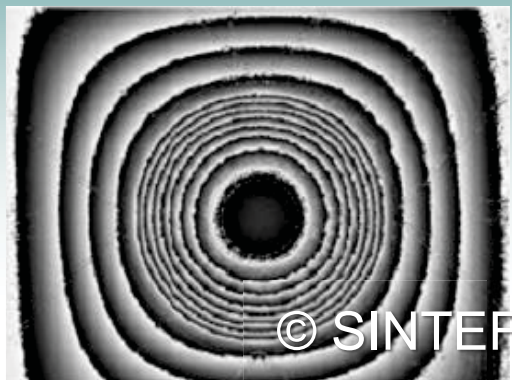
- Mach-Zehnder...QO Applications, NEW: 3 arms (as proposed by Prof. Mataloni)!;
Microchannel fabrication (Prof. Ramponi)
- Twyman-Green...optical shop testing
- Fizeau...flat mirror in FEL





Challenges for interferometry

Example: M(O)EMS Characterisation



deformation
(laser interferometry)

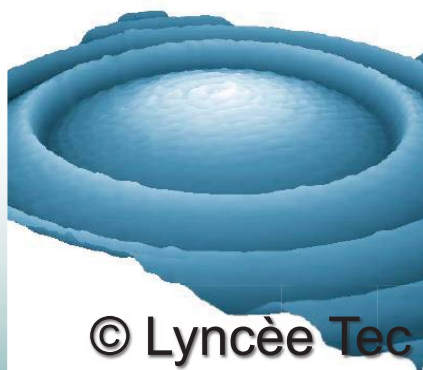


dimensions/shape
(white light interferometry)

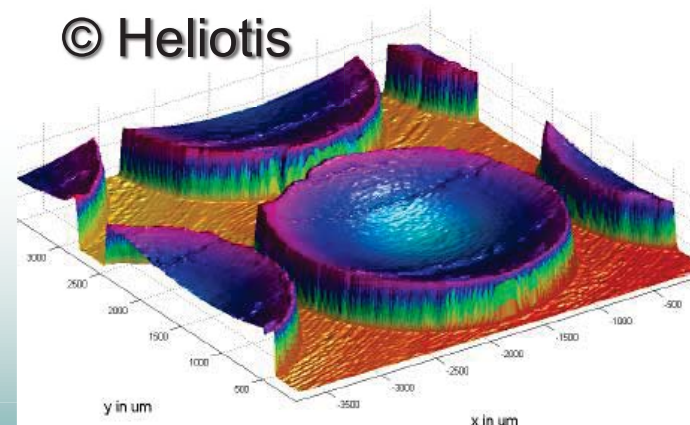


vibration (time average)
laser interferometry)

and
many more ...



topography
(digital holography)

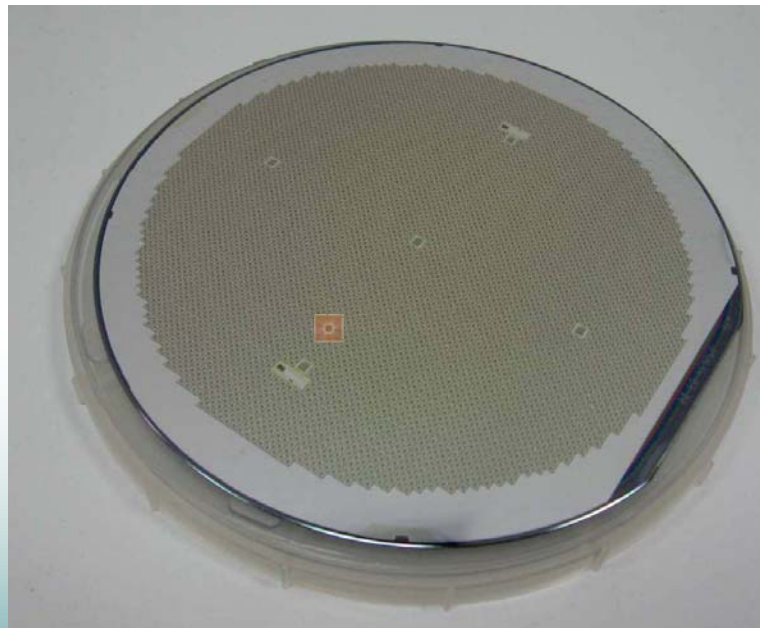


topography - inner structure
optical coherence tomography



Main challenge in M(O)EMS inspection

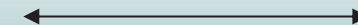
- Wafer size increases – current diameters 6", 8", 12"
- Up to several thousands structures on one wafer (time issues)
- Feature size decreases – typically $<10\mu\text{m}^2$
- Inspection ratio: 10^{-3} to 10^{-7}
- 100% M(O)EMS inspection



15cm



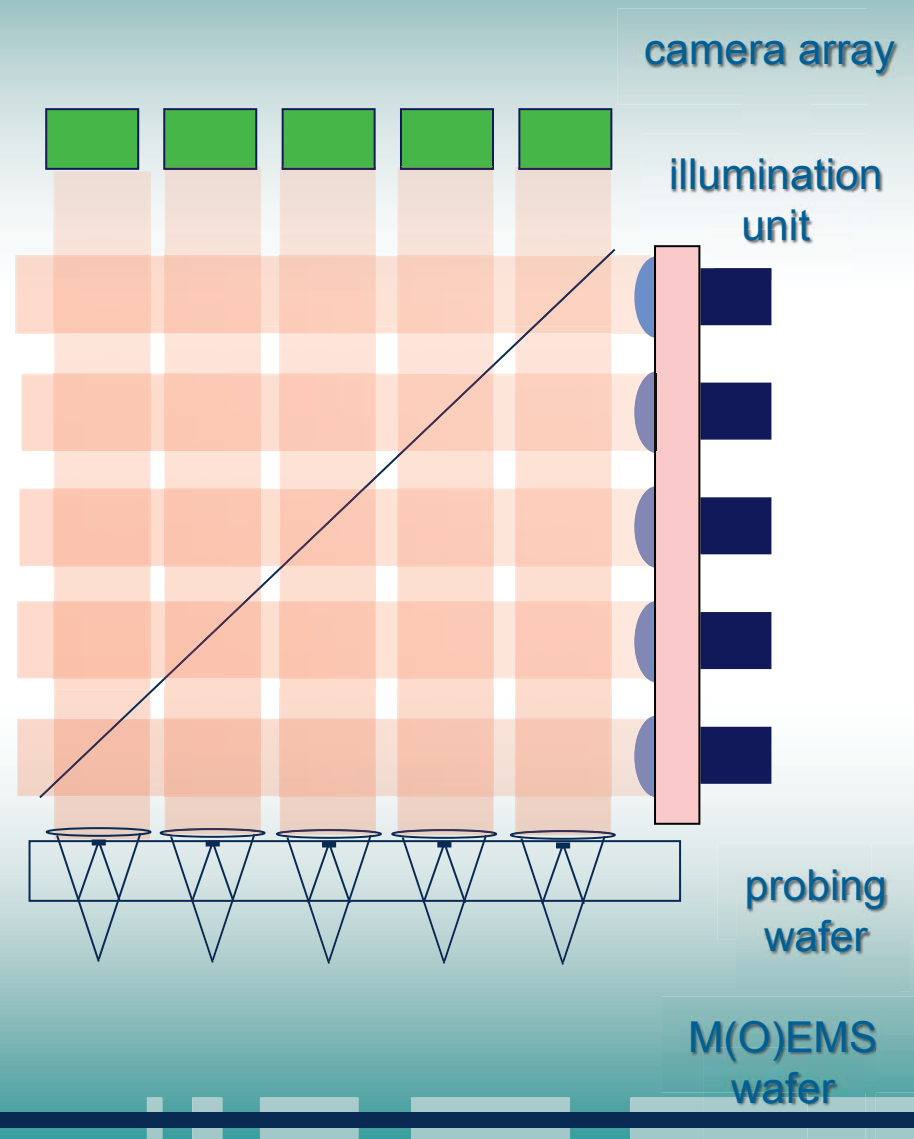
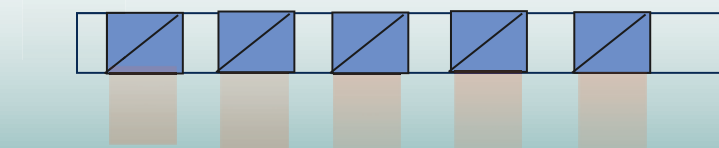
700 μm





Parallel Inspection concept

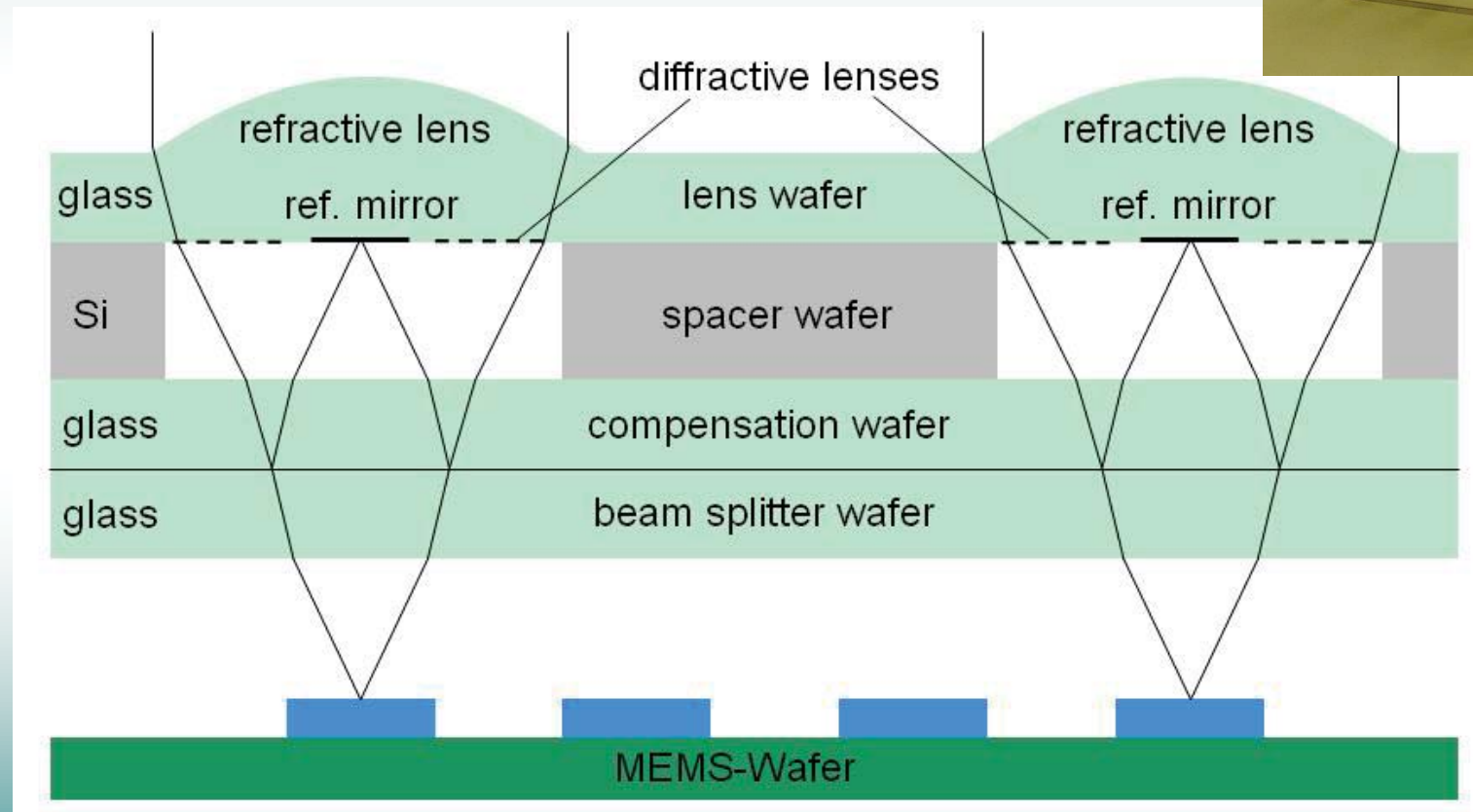
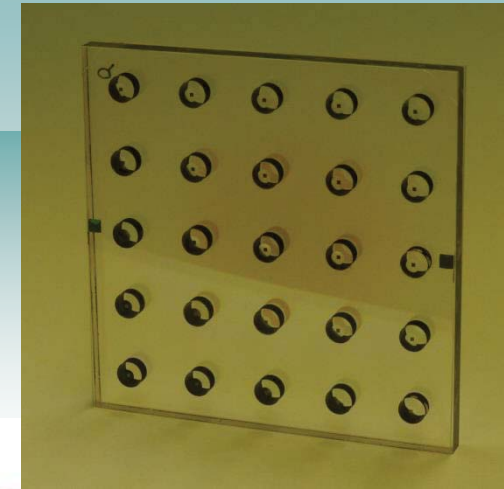
- parallel approach
- time and cost efficient
- multi-functional
- in-line inspection of:
 - shape
 - deformation
 - resonance frequencies
 - and mode shape



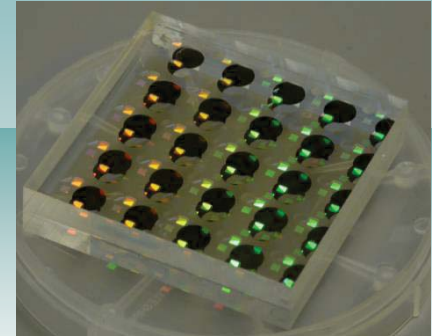


Micro optical LCI array

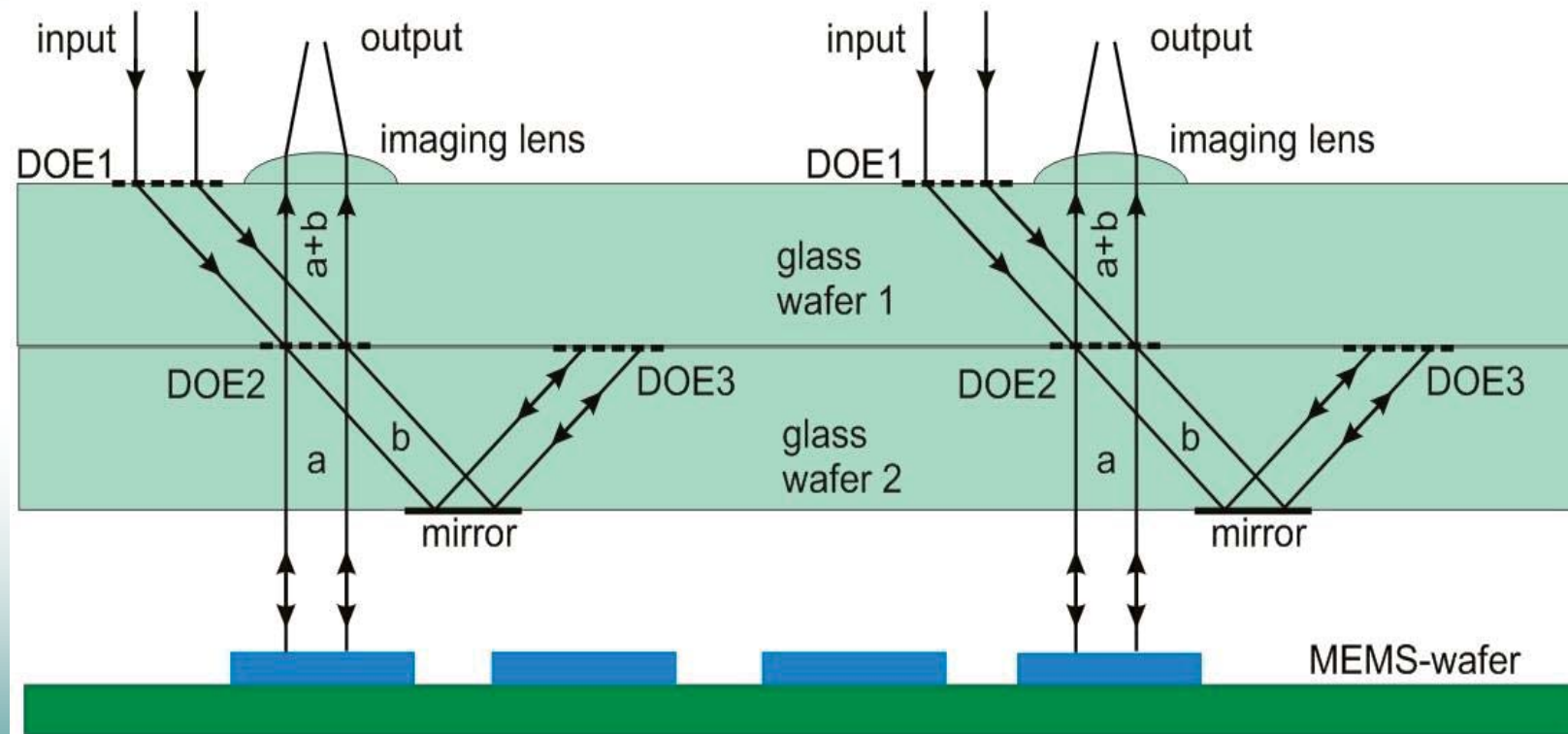
■ Mirau type



Micro optical LI array



■ DOE based Twyman Green type





Instrument plattform

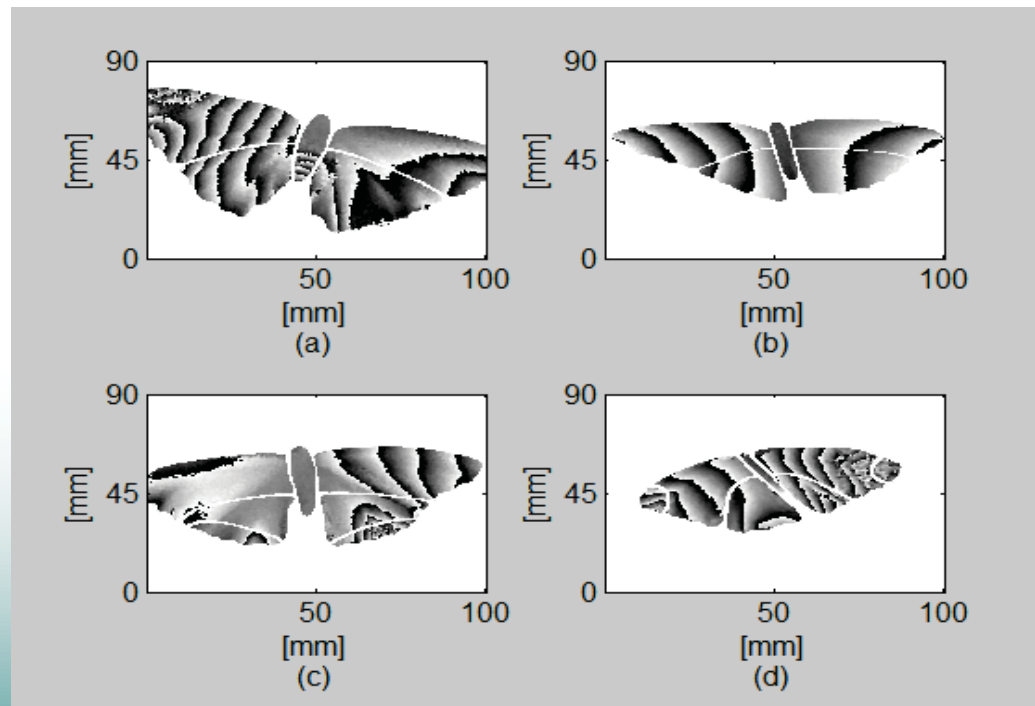


© SUSS Test Systems
Cascade Microtech

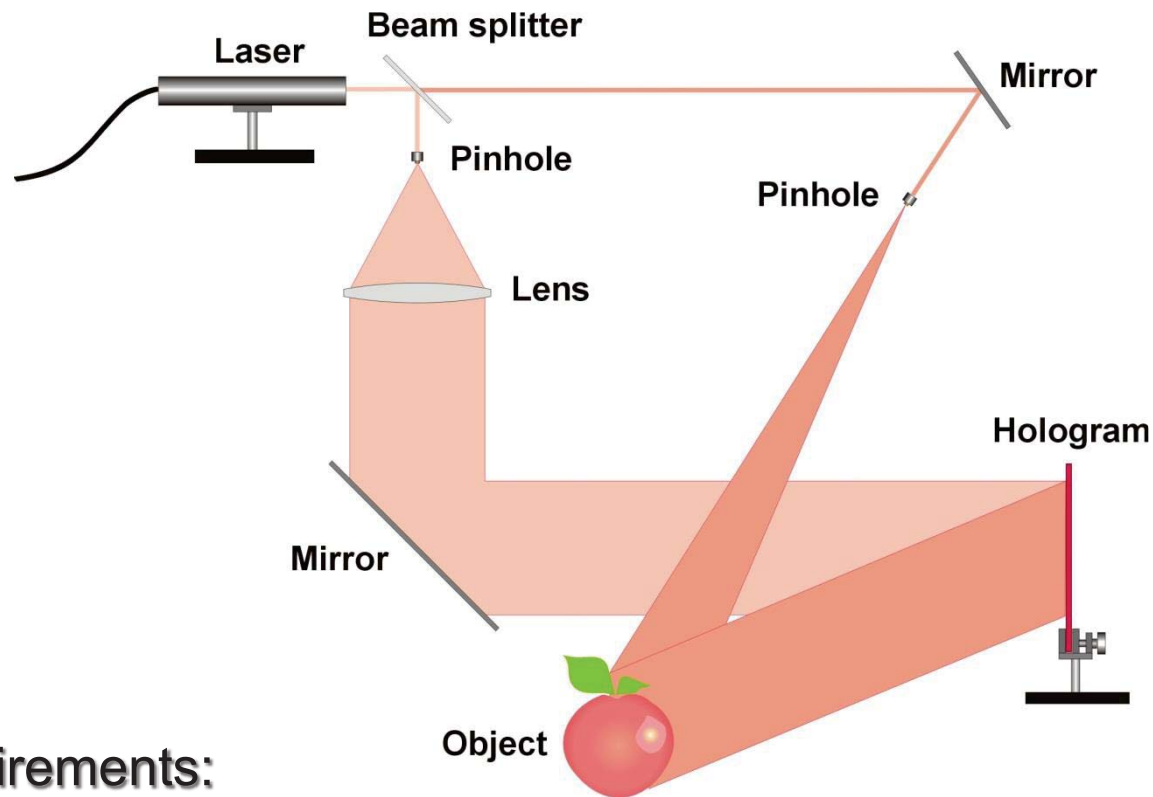


Holography and speckle techniques

Holographic and speckle interferometry



Registration of optical hologram basic setup



Requirements:

1. Need to have equal optical paths of reference and object beams (within coherence length of laser)
2. During recording the phase between object and reference beams cannot change more than $\Delta\phi < 0.2\pi$

$$\Delta\phi_{\max} < 0.2\pi$$



Basic Theoretical Considerations

Two wave addition: Object and Reference

$$U_T = U_o + U_r \quad (1)$$

Intensity/Irradiance on the CCD sensor is proportional to

$$I_T = U_o^* U_o + U_r^* U_r + U_o U_r^* + U_r U_o^* \quad (2)$$

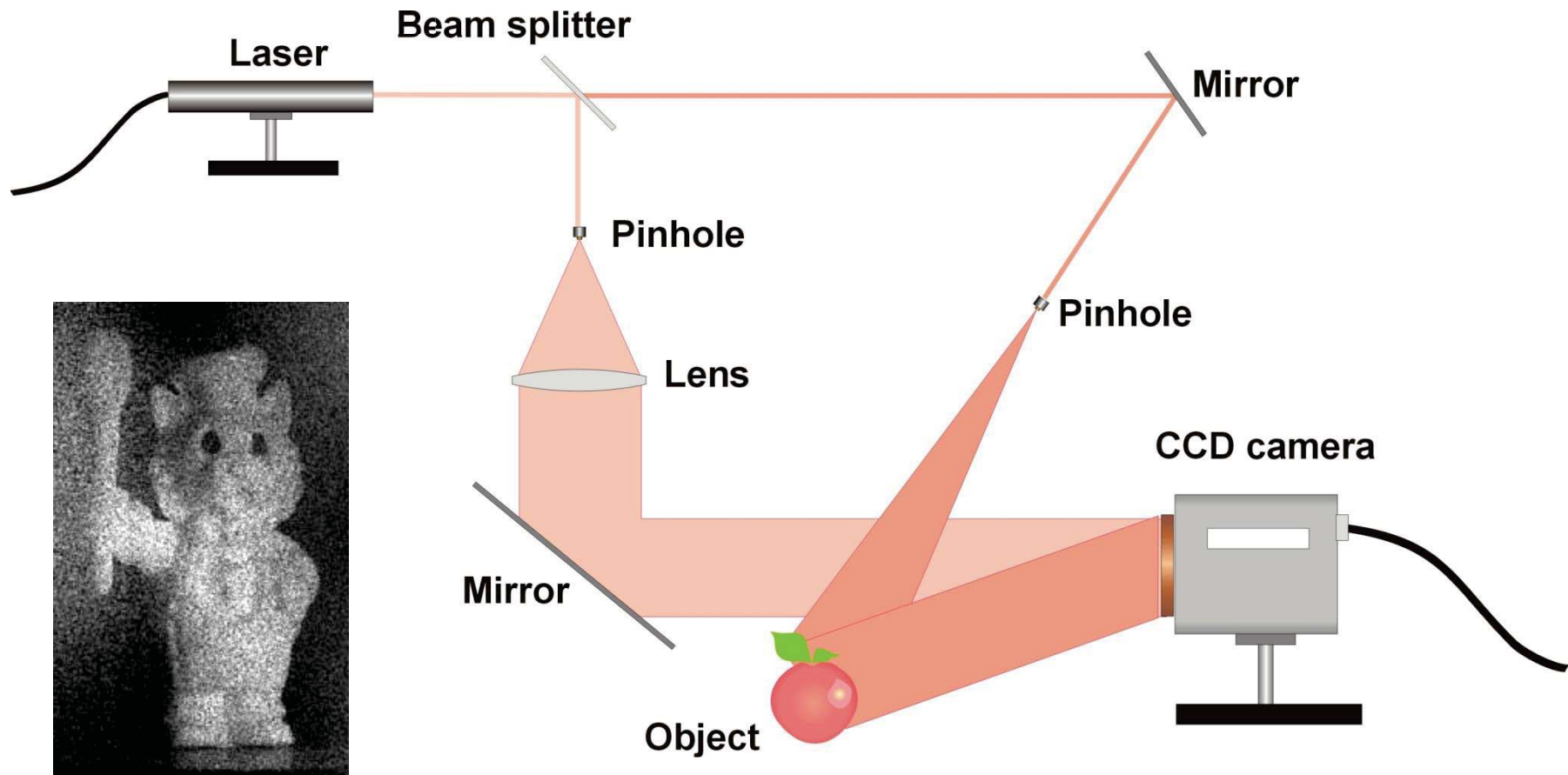
Apart from a scale factor, the third term is identical to the original object

Gabor D., A new microscopic principle, Nature 161, 777-778 (1948).

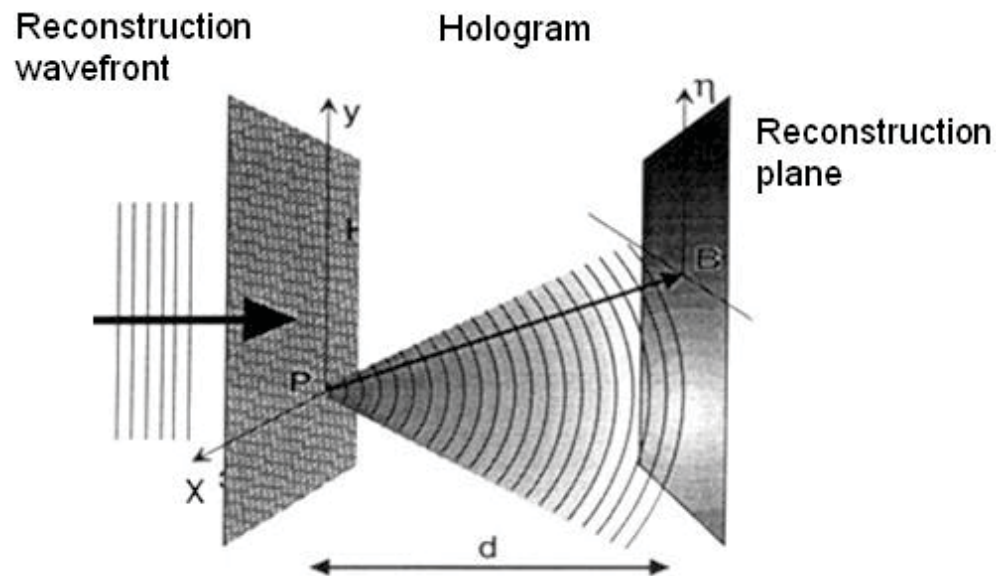


Registration of digital hologram

Photographic (analog) material is replaced by CCD or CMOS matrix



Scheme for numerical reconstruction of digital hologram



Diffraction of plane wave at hologram is given by **Fresnel-Kirchoff integral**.

Due to small size of CCD camera versus the distance camera (hologram)-object we can use here Fresnel approximation given by:

$$U(\xi, \eta; d) = \frac{iU_0}{\lambda d} \exp\left[-i \frac{\pi}{\lambda d} (\xi^2 + \eta^2)\right] \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} h(x, y) \exp\left[-i \frac{\pi}{\lambda d} (x^2 + y^2)\right] \times \exp\left[i \frac{2\pi}{\lambda d} (x\xi + y\eta)\right] dx dy$$

where : (x, y) , (ξ, η) are coordinates, $h(x, y)$ is the amplitude transmittance of hologram, U_0 – is the real amplitude of reconstructing wavefront

Sampled version of the reconstructed field

The hologram function is sampled by CCD camera in $M \times N$ points with sampling periods Δx and Δy . Then the numeric representation of the previous equation is given as:

$$U(m, n, d) = \exp\left[-i \frac{\pi}{\lambda d} (m^2 \Delta \xi^2 + n^2 \Delta \eta^2)\right] \sum_{k=0}^{M-1} \sum_{l=0}^{N-1} h(k, l) \times \exp\left[-i \frac{\pi}{\lambda d} (k^2 \Delta x^2 + l^2 \Delta y^2)\right] \exp\left[i 2\pi \left(\frac{km}{M} + \frac{ln}{N}\right)\right]$$

Where $\Delta \xi$ and $\Delta \eta$ are the sizes of pixels in reconstructed images.

Intensity of the object field at distance d

$$I(\xi, \eta; d) = \text{Re}^2[U(m, n, d)] + \text{Im}^2[U(m, n, d)]$$

Phase of the object field at distance d

$$\phi(\xi, \eta; d) = \arctan \frac{\text{Im}[U(m, n; d)]}{\text{Re}[U(m, n; d)]}$$

So we can reconstruct numerically all information about an object

Limitations of digital holography

The recording medium has to fulfil the Nyquist condition !
Each fringe has to be sampled by at least two pixels of CCD matrix

CCD cameras;

- resolution 1024x1534;
 - Pixel size $\Delta=9\mu\text{m}$; for $4.5\mu\text{m}$
 - Spatial resolution - ap. 111 lines/mm, 220l/mm
holographic materials (plates) - >3000 lines/mm).
- Limitations

$$\delta = \lambda / (2 \sin(\gamma/2))$$

Assumption.: $\gamma \approx \sin \gamma \approx \tan \gamma$
For small γ

$$\gamma \leq \lambda / (2\Delta)$$

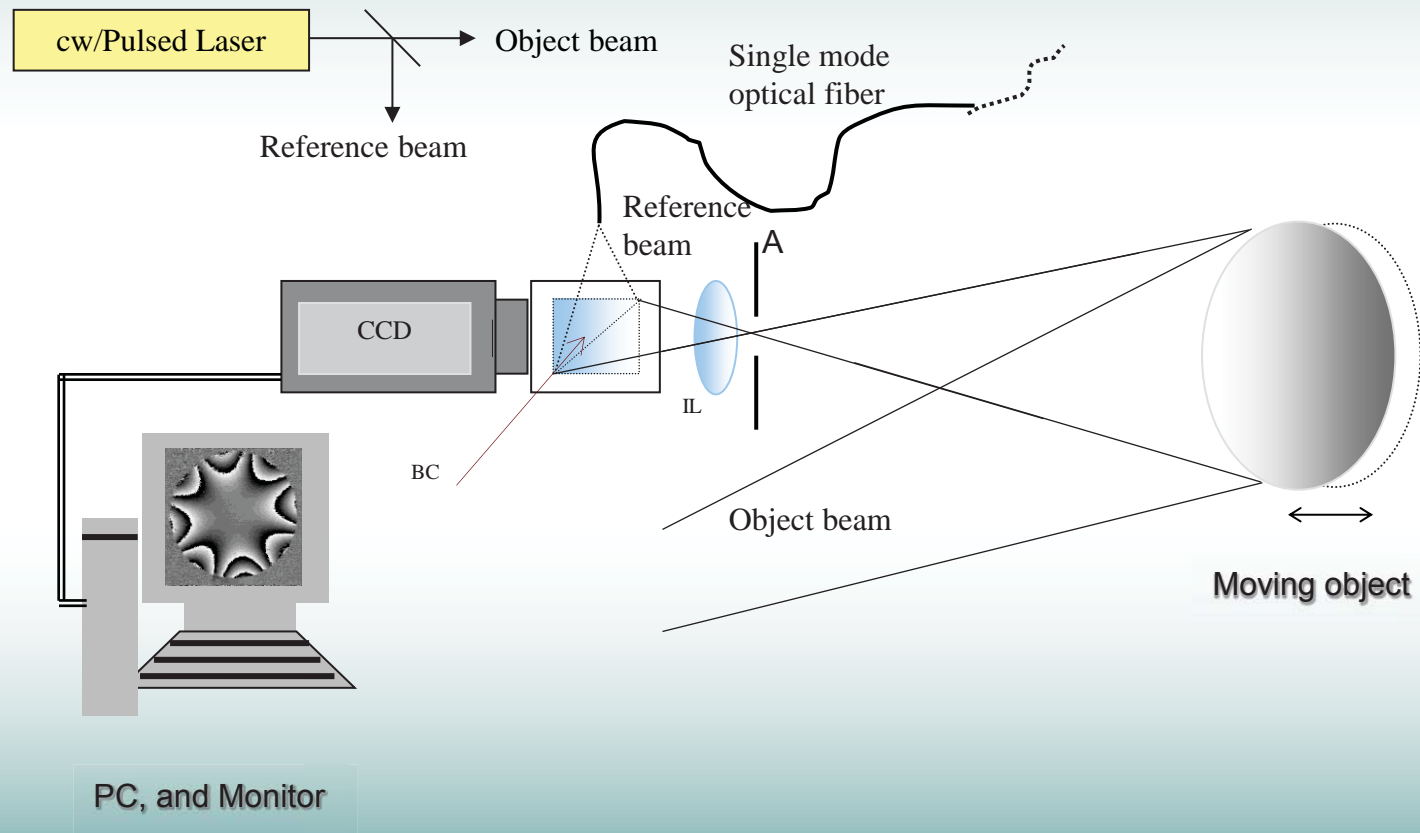
$$2\Delta \leq \delta$$

⇒

for $\lambda=632.8\text{nm}$ and $\Delta=9\mu\text{m}$, $\gamma \approx 3.5^\circ$

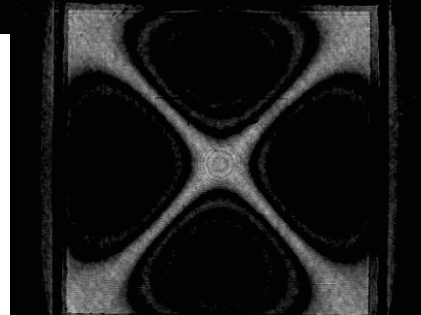
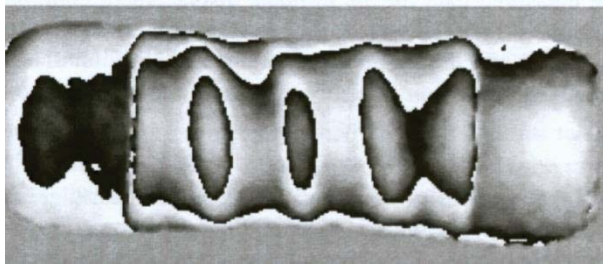
**Conclusion: SMALL angular size of object (a few degrees)
i.e.
SMALL OBJECT or Object SITUATED FAR from CAMERA**

4. ESPI/TV H set-up



HOLOGRAPHIC INTERFEROMETRY

- Classical
- Digital



C. M. Vest, *Holographic interferometry*, J. Wiley and Sons, New York, 1979

P. K. Rastogi (ed), *Holographic interferometry*, Springer, 1994

I. Yamaguchi, T. Zhang, Phase shifting digital holography, *Opt. Lett.*, 22, 1268-1270, 1997

T. Kreis, "Handbook of Holographic Interferometry" WILEY-VCH Verlag GmbH & Co.KGaA, 2005

Classical holographic interferometry

Each holographic system can be used to compare optical wavefronts formed by an object in different states (physical conditions)

Let initial state of an object is:

$$E_{p1}(P) = A_{p1}(P) \exp[i\phi(P)]$$

After providing load (or other changes)

$$E_{p2}(P) = A_{p2}(P) \exp i[\phi(P) + \Delta\phi(P)]$$

If the object (load) is **stationary** we may compare these wavefronts by:

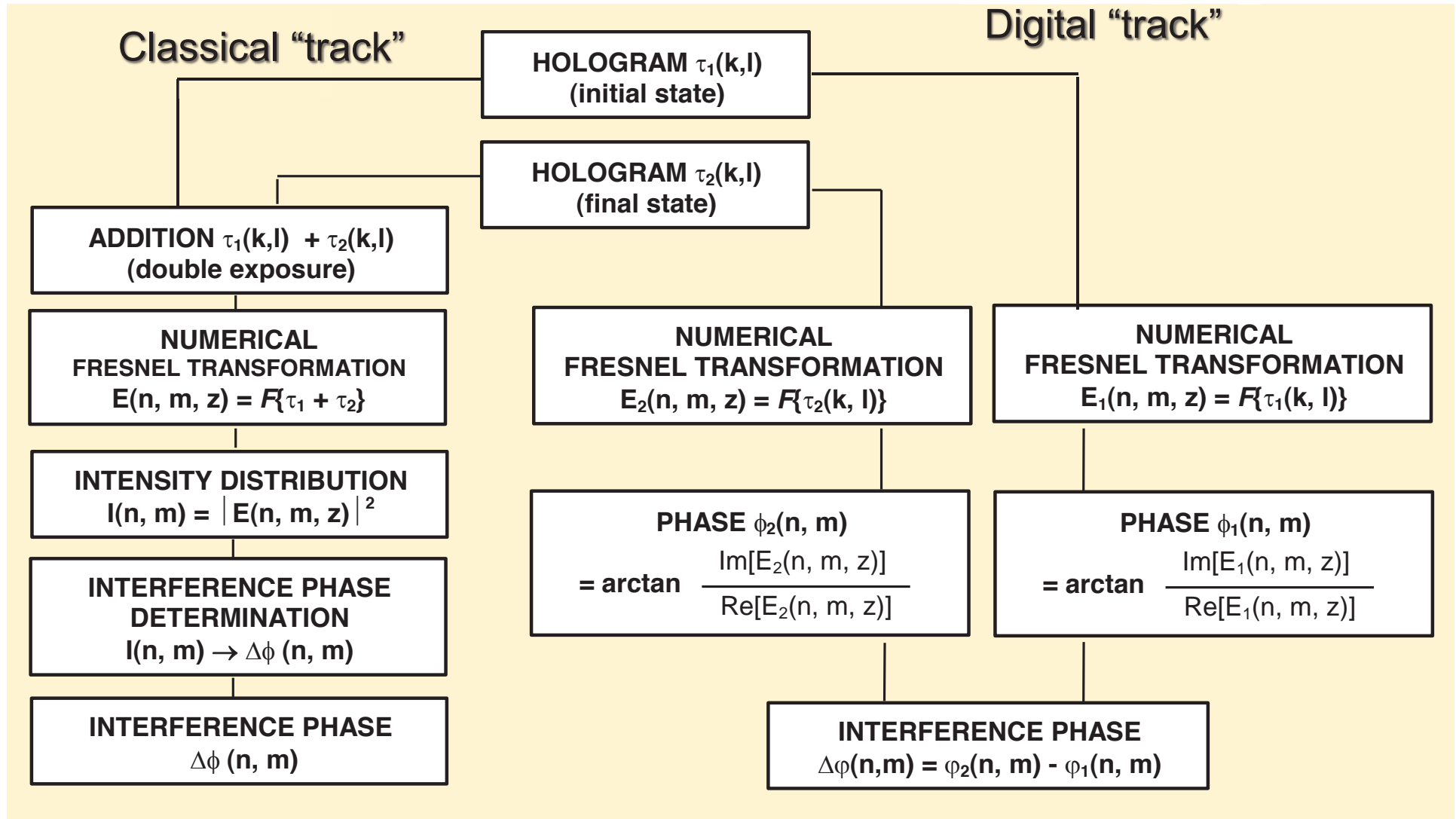
- double exposure holographic interferometry,
- real time holographic interferometry.

If the object is **vibrating** we use:

- Time averaged holographic interferometry
- Stroboscopic holographic interferometry

In the case of **dynamic** object investigation we use **impulse double exposure HI**

PRINCIPLES OF DIGITAL HOLOGRAPHIC INTERFEROMETRY



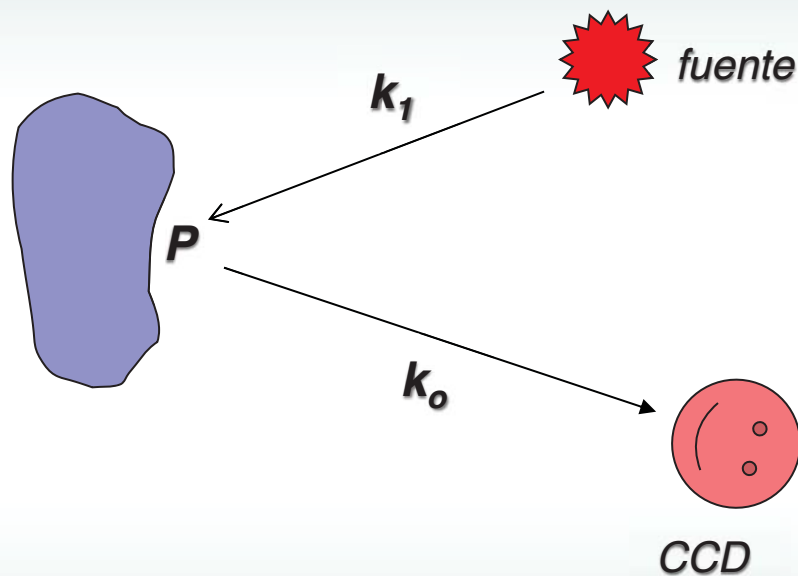
$$\Delta\phi(m, n) = \begin{cases} \phi_2(m, n) - \phi_1(m, n) & \text{if } \phi_2(m, n) \geq \phi_1(m, n) \\ \phi_2(m, n) - \phi_1(m, n) + 2\pi & \text{if } \phi_2(m, n) < \phi_1(m, n) \end{cases} .$$

No intermediate state: sequential monitoring by phase subtraction



X, Y, Z, Displacement Acquisition

see for instance: S. Schedin, et.al., Appl Opt, **38**, pp. 7056-7062 (1999), y Mendoza, et. al., Meas. Sci. And Tech., **10**, pp. 1305-1308 (1999).



$$k_1 = P - F_1$$

$$k_o = C - P$$

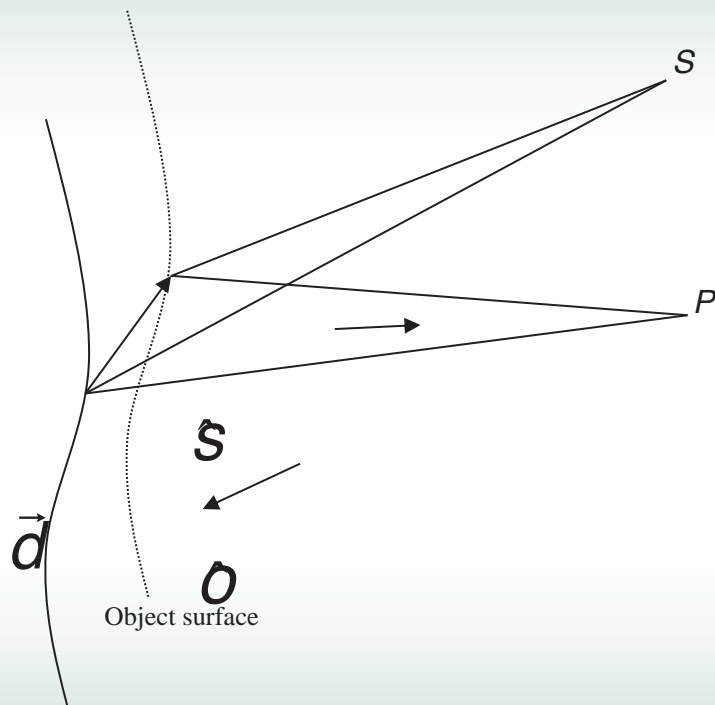
P, punto en el Objeto

F₁, posición de la fuente

C, Posición de la CCD

Note: Object has to be illuminated from three different positions

Sensitivity vector



Phase difference due to surface displacement

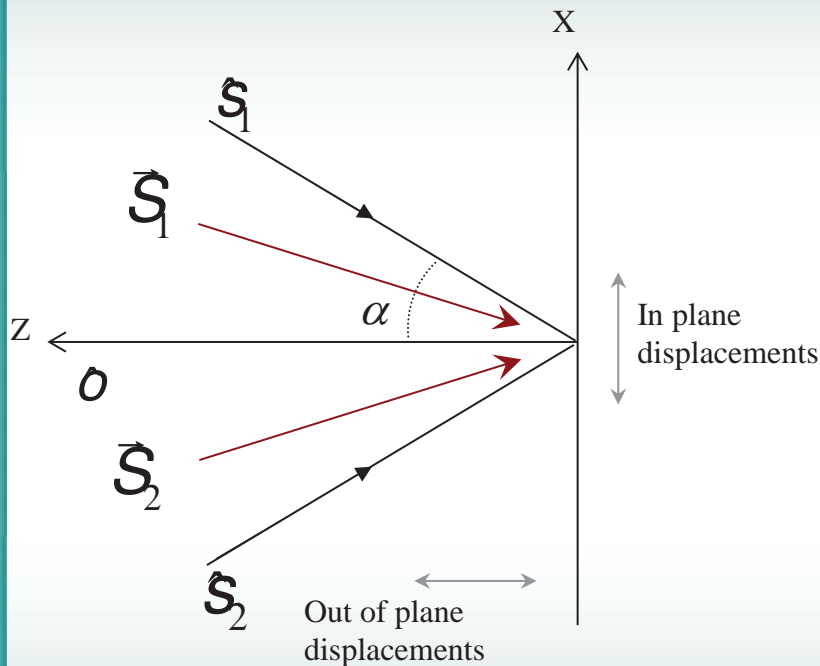
$$\Delta\phi = \frac{2\pi}{\lambda} \vec{S} \cdot \vec{d}$$

Sensitivity vector as a function of the unity illumination and observation vectors

$$\vec{S} = \vec{s} - \vec{o}$$

2D measurements (an in plane and an out of plane component)

2D evaluation requires two independent sensitivity vectors



Out of pane sensitivity

$$\vec{S}_1 + \vec{S}_2 = \vec{S}_z$$

A vector diagram showing two red vectors, \vec{S}_1 and \vec{S}_2 , originating from the same point. Their resultant is a black vector \vec{S}_z pointing horizontally to the right.

From equation (7)

$$\phi_z = \phi_2 + \phi_1 = \frac{2\pi}{\lambda} \vec{d} \cdot \vec{S}_z \quad (9)$$

In plane sensitivity

$$\vec{S}_1 - \vec{S}_2 = \vec{S}_x$$

A vector diagram showing two red vectors, \vec{S}_1 and \vec{S}_2 , originating from the same point. Their resultant is a black vector \vec{S}_x pointing vertically downwards.

$$\phi_x = \phi_2 - \phi_1 = \frac{2\pi}{\lambda} \vec{d} \cdot \vec{S}_x \quad (10)$$

Sensitivity vectors

$$\vec{S}_1 = (-\sin \alpha, 1 + \cos \alpha)$$

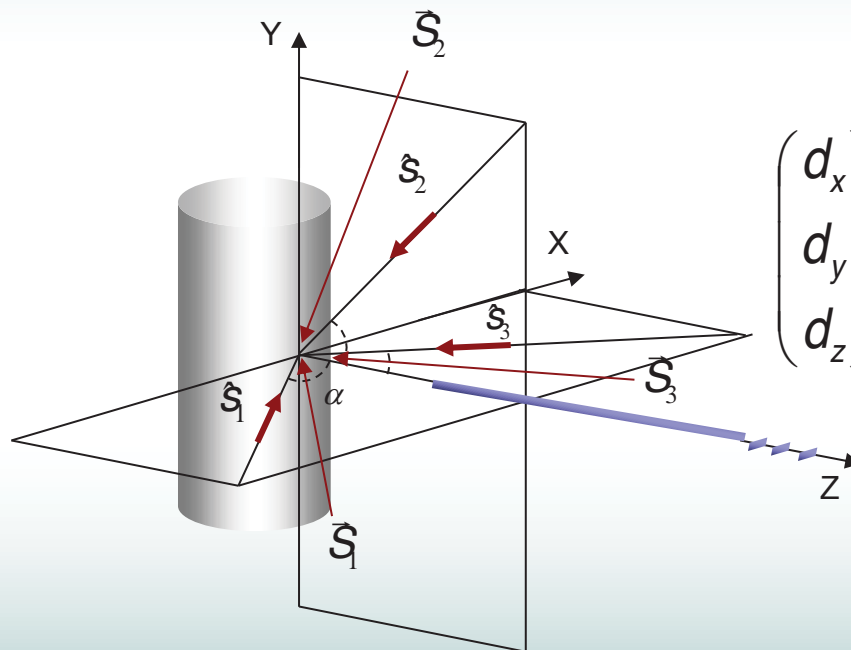
$$\vec{S}_2 = (\sin \alpha, 1 + \cos \alpha)$$

From eq. (7) $\rightarrow \begin{pmatrix} d_x \\ d_z \end{pmatrix} = \frac{\lambda}{2\pi} \begin{pmatrix} -\sin \alpha & 1 + \cos \alpha \\ \sin \alpha & 1 + \cos \alpha \end{pmatrix}^{-1} \begin{pmatrix} \Delta \phi_1 \\ \Delta \phi_2 \end{pmatrix} \quad (11)$



3D Sensitivity

3D evaluation requires three sensitivity vectors



$$\begin{pmatrix} d_x \\ d_y \\ d_z \end{pmatrix} = \frac{\lambda}{2\pi} \begin{pmatrix} -\sin \alpha & 0 & 1 + \cos \alpha \\ 0 & -\sin \alpha & 1 + \cos \alpha \\ \sin \alpha & 0 & 1 + \cos \alpha \end{pmatrix}^{-1} \begin{pmatrix} \Delta \phi_1 \\ \Delta \phi_2 \\ \Delta \phi_3 \end{pmatrix} \quad (12)$$

Deformation components are evaluated at each point of the object's surface





The displacement information must now be drawn on the ***Object Contour (shape)***, which may be found using any of several different/complementary (optical and non-optical) techniques, viz.,

Pedrini, et. al., App Opt, **38**, pp. 3460-3467 (1999)

Rodriguez, et. al. JOSA, **A 9**, pp. 2000-2008 (1992)





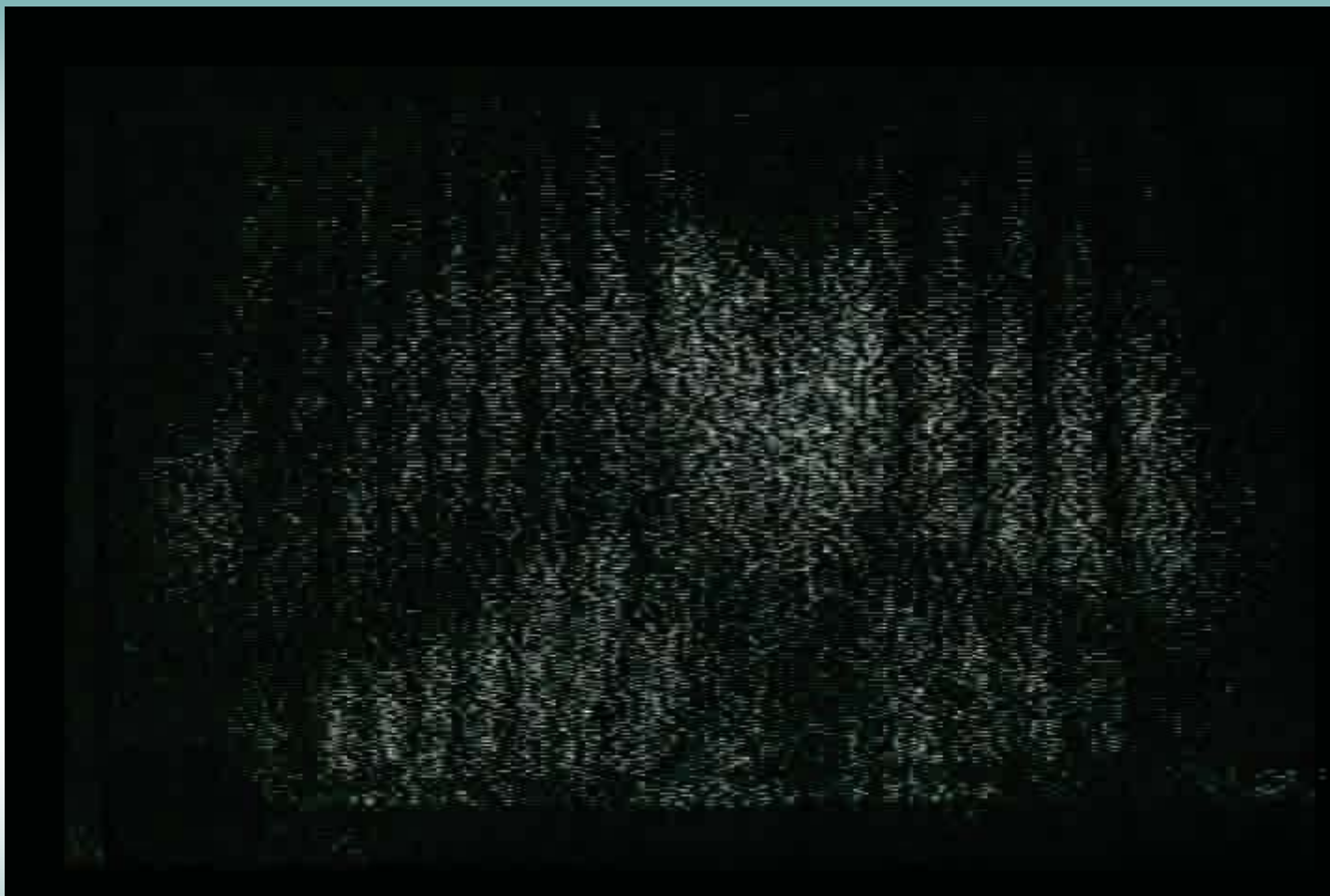
RESULTS





ESPI

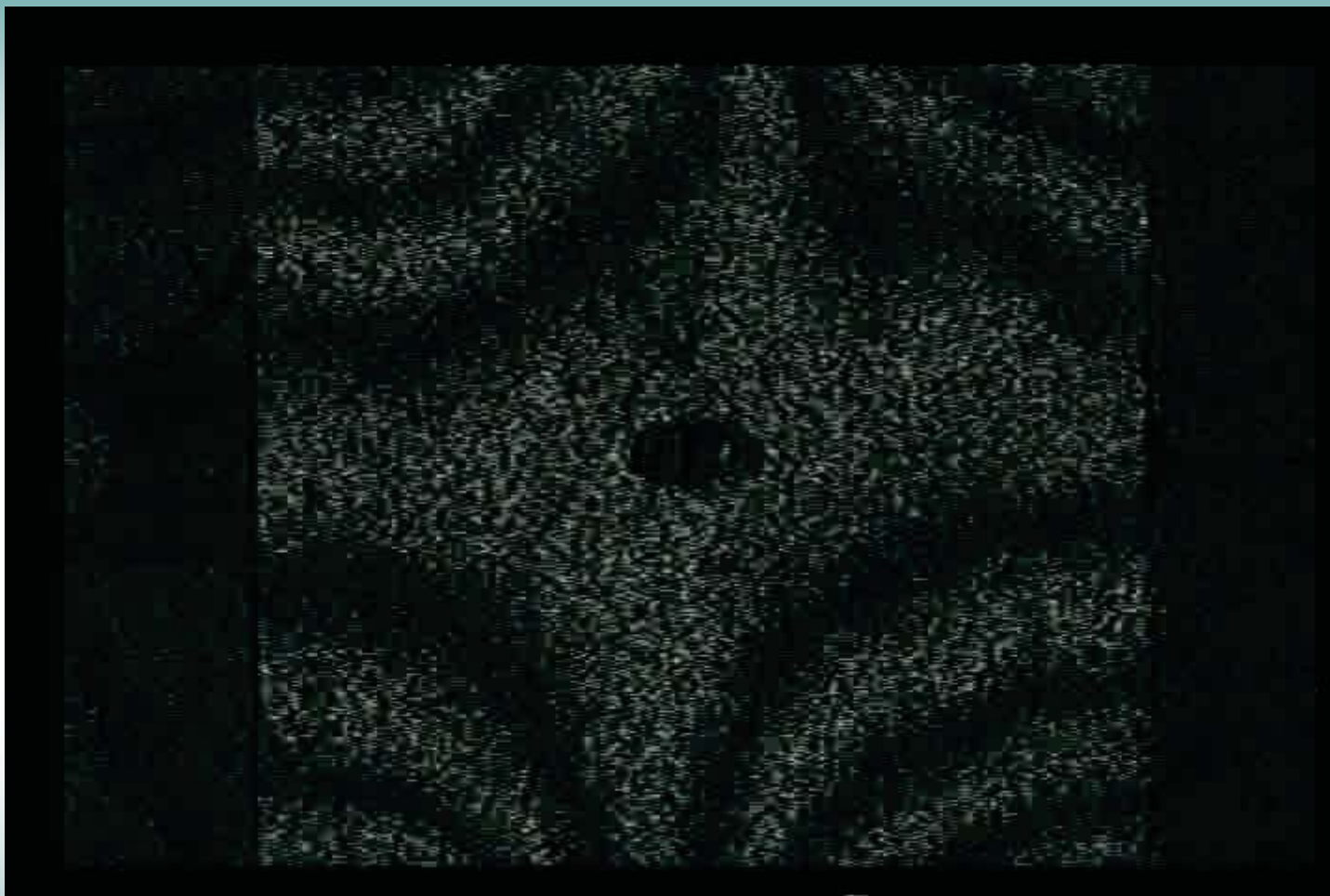
- A) Underwater Sonar at 3KHz
- B) Traveling wave
- C) In-plane harmonic oscillation at 33 and 37 KHz



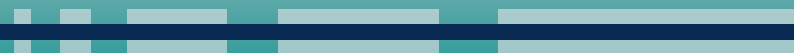
Journal of Sound and Vibration, **172** (4), pp. 433-448 (1994).







Applied Optics, **30** (7), pp. 717-721 (1991).

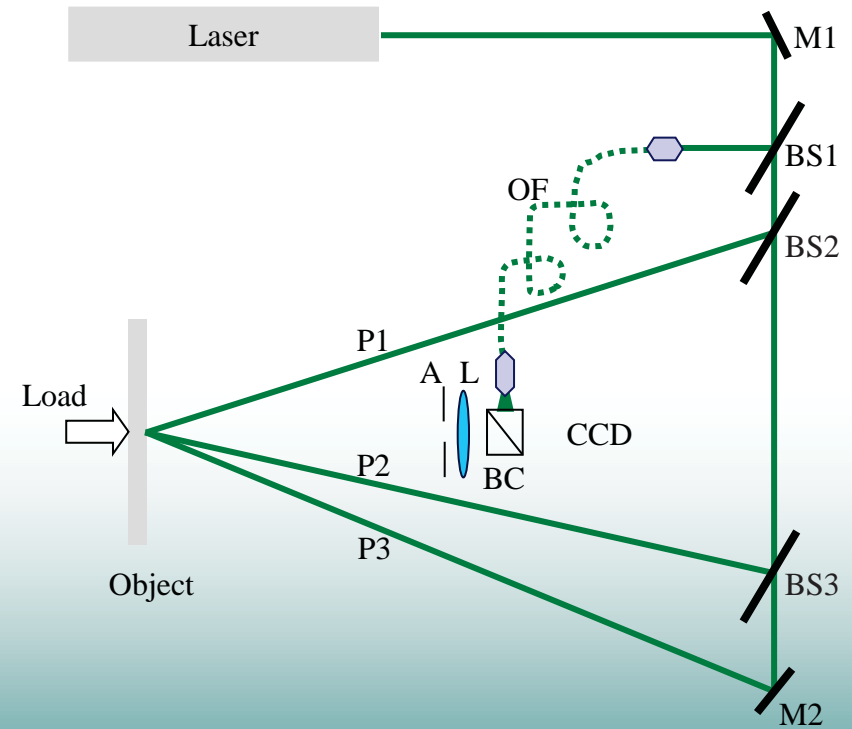
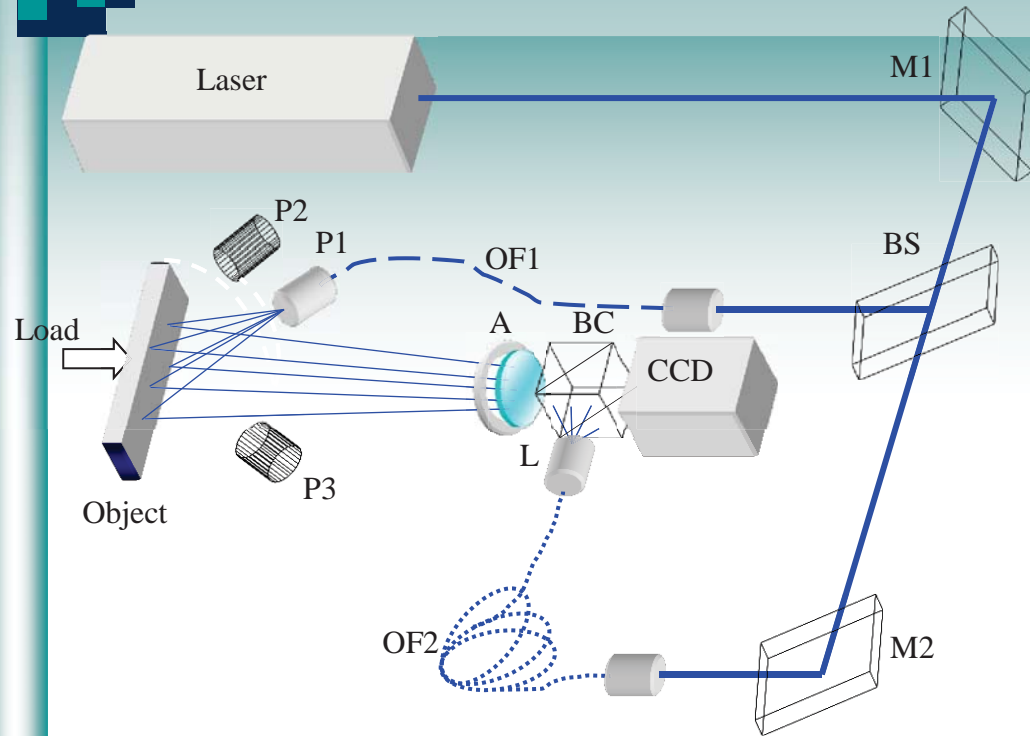




DHI

- A) 2D/3D set up, Dedicated software
- B) 3D component separation
- C) Tympanic membrane
- D) Tumor detection
- E) Vocal Chords
- F) Biomechanics

Experimental set up



Digital holographic interferometry

Figure No. 1: Forma y Deformaciones en Tres-Dimensiones...FMS

File Edit View Insert Tools Window Help

Forma y Deformacion: Localizar Imagenes, Dar Coord., etc.

Contorno

fforme.mat



Met. 2 lambda

Pos. Camara

-50 0 1030

delta lambda [nm]

0.0338

Pos. Fuente

-188 225 570

☒ Met. Cambio Pos. Solo (Holo3)

def.- T1/ampl.

T2/phase

Pos. Fuentes il. en mm [x y z]

def. 1

a922 t0

def. 1a

p922 t0

No. 1

-1210 30 1220

def. 2

a922 t0

def. 2a

p922 t0

No. 2

600 30 970

def. 3

a922 t0

def. 3a

p922 t0

No. 3

-410 640 870

Parametros Generales

Vista-x [mm]

200.1

Nom. Arch. en MATLAB

d

Vista-y [mm]

270.1

Cen. Im. x,y : 0...1

0.5 0.5

lambda [nm]

543.1

☒ Pre-filtrado

Ev. Dat. cada

8

Modo de Evaluacion



Datos T1 & T2



Datos Amp. Fase

dT = T2 - T1 [μs]

409.8



Solo Datos T1

Sep. Pulsos [μs]

50

Frecuencia [Hz]

922

Exportar

Nombre

uff55

MATLAB



ASCII



UFF: dataset 58



UFF: dataset 55



Exportar

Instrucciones

Cargar Imagenes

Cargar Datos

Evaluar

Palette

hsv

hot

gray

prism

cool

Vent. Extra

3D/2D

Cuadrícula

Perspectiva

Forma

Inormal

ltangencial

tangencial

Fase

normal

tangencial

Densidad

1

Elevacion y Azimuth [°]

-75 45

|Def.-z|

Def.-z

|Def.-y|

Def.-y

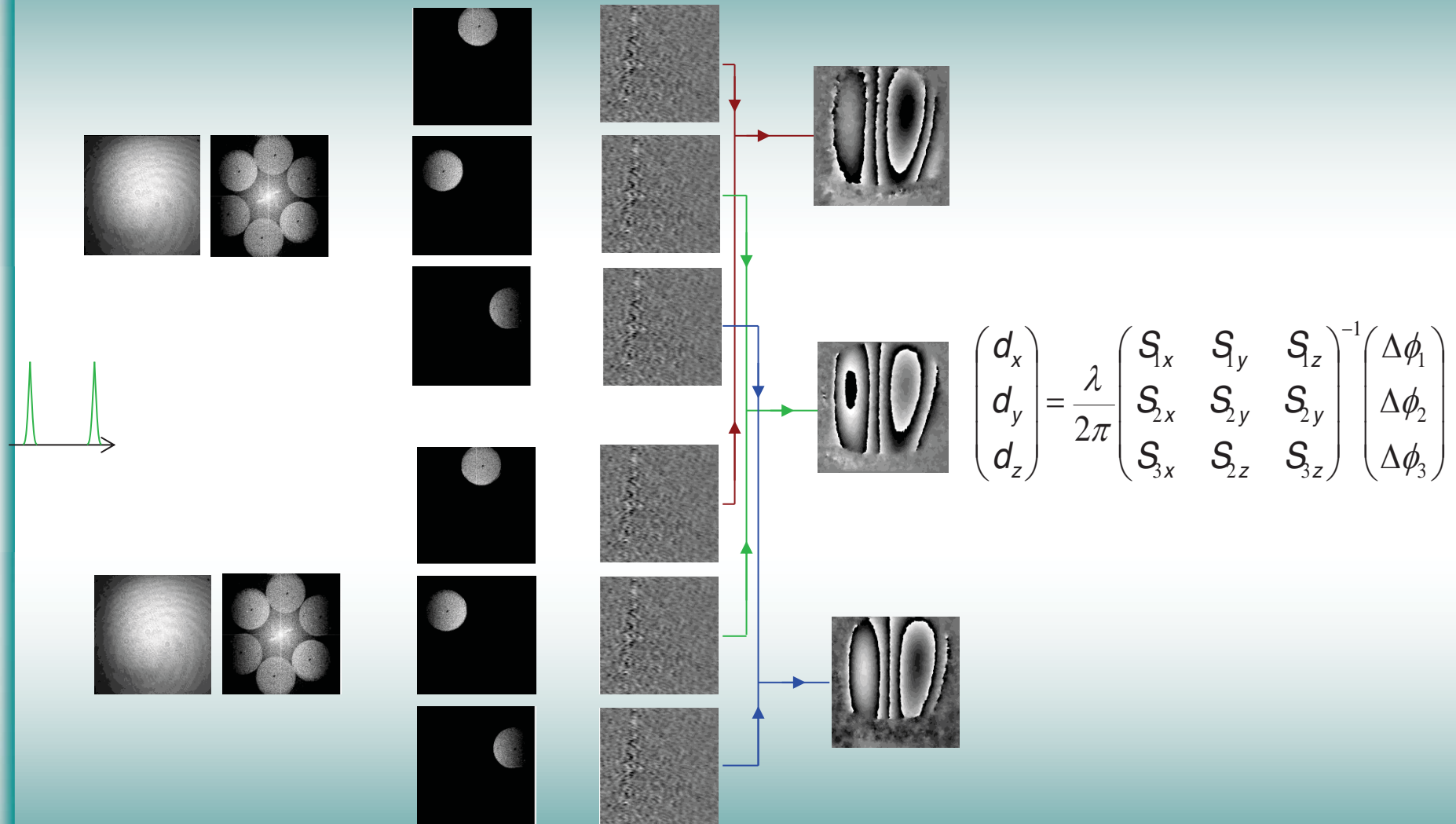
|Def.-x|

Def.-x

GRAFICAS

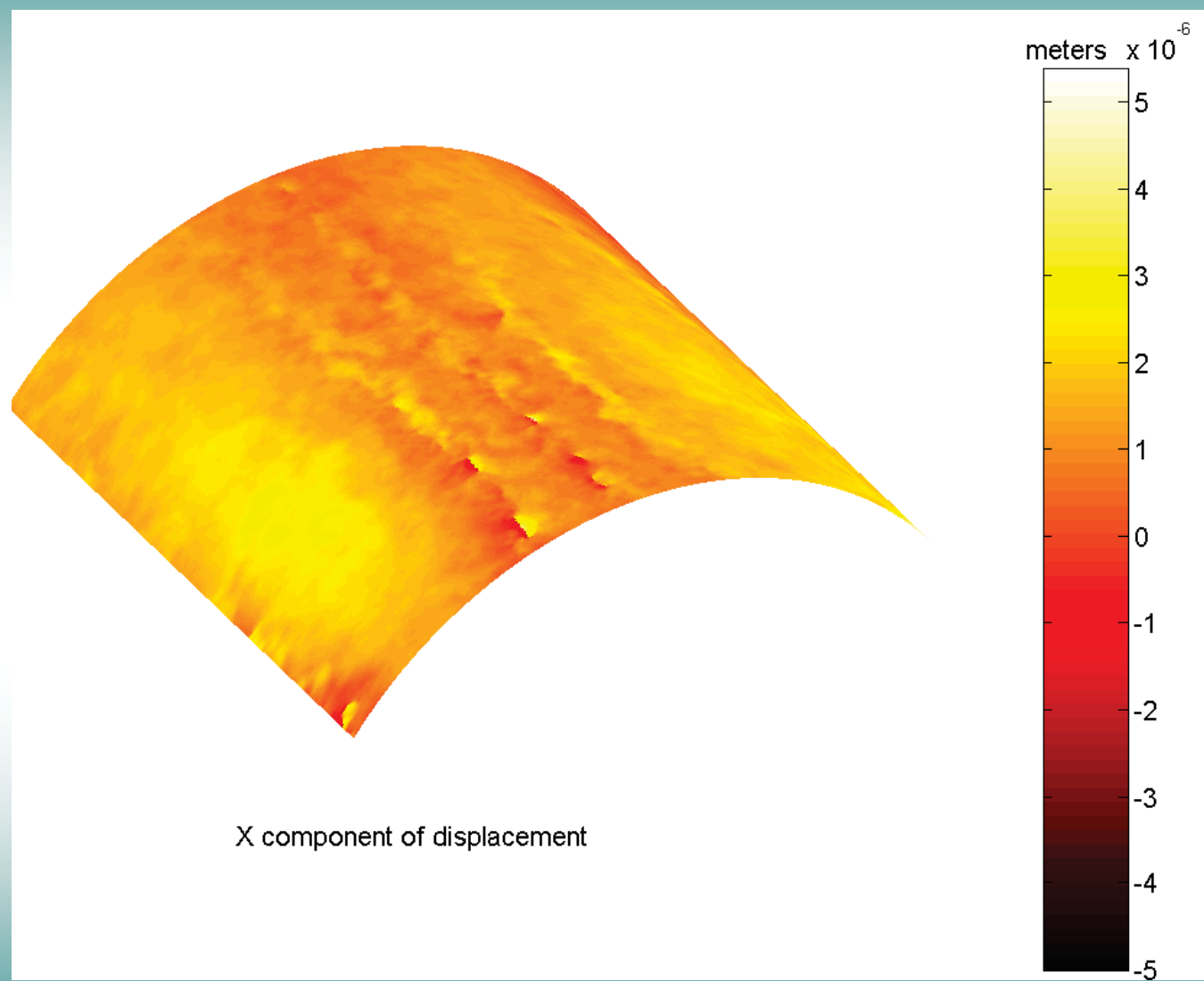


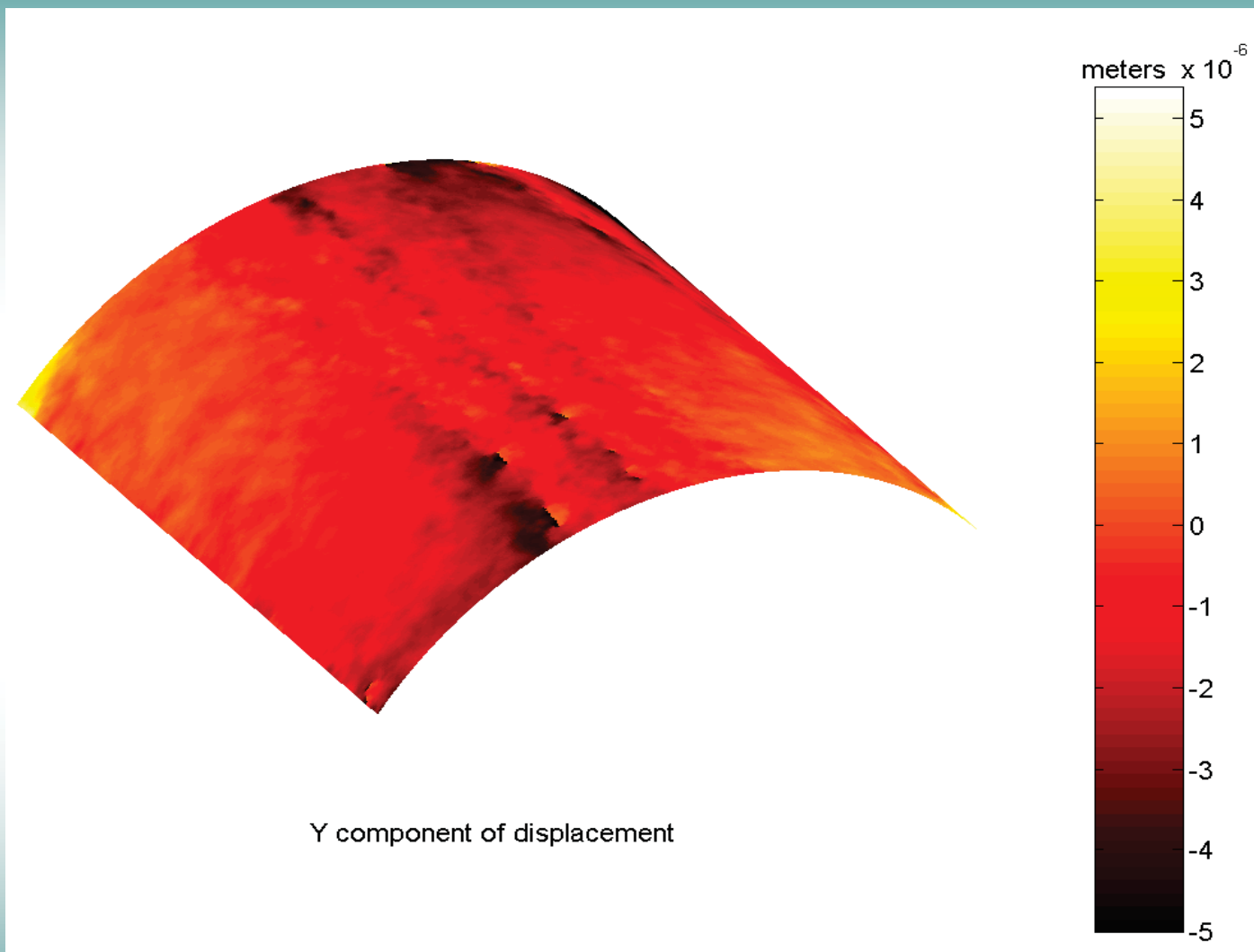
Phase evaluation with 3 holograms

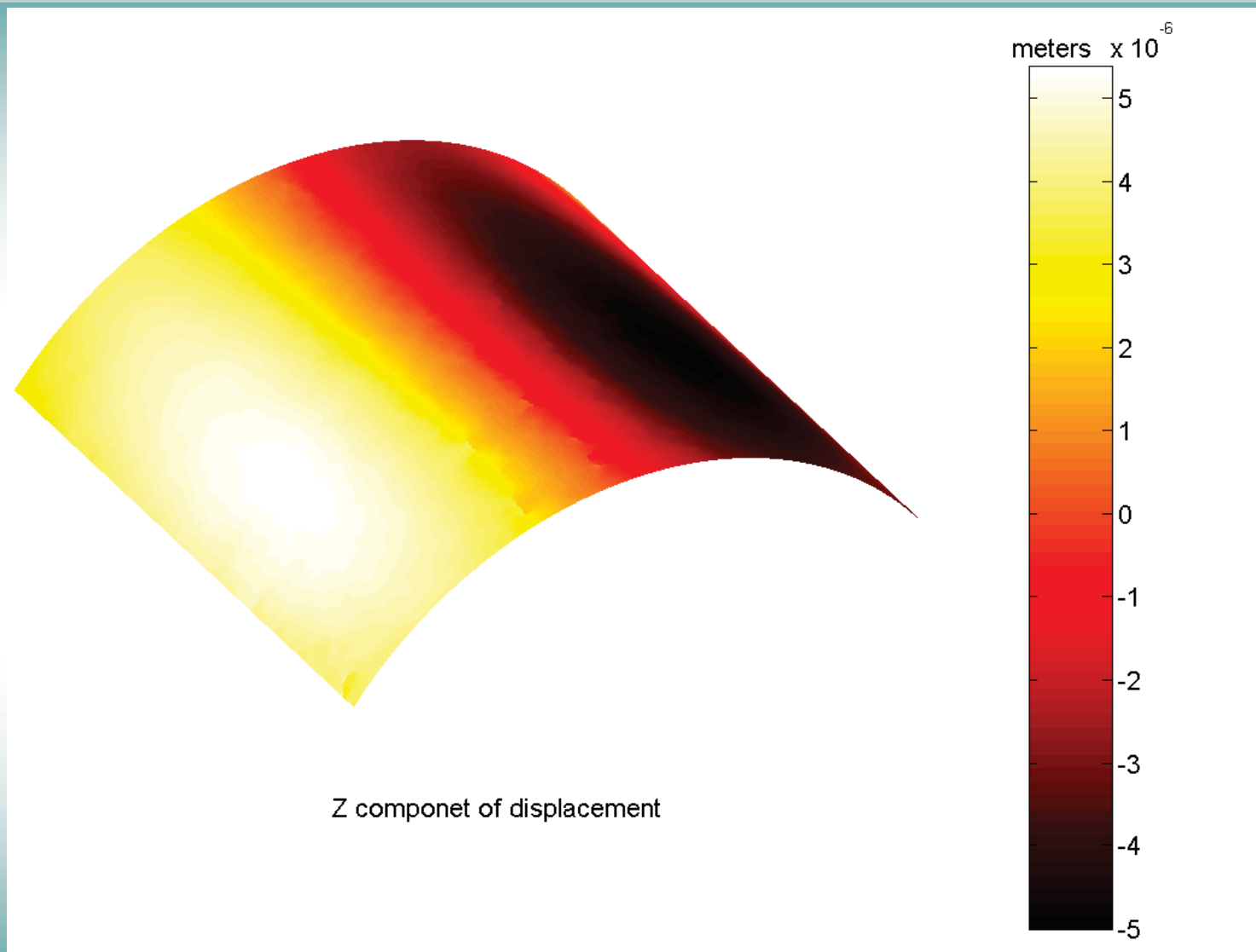


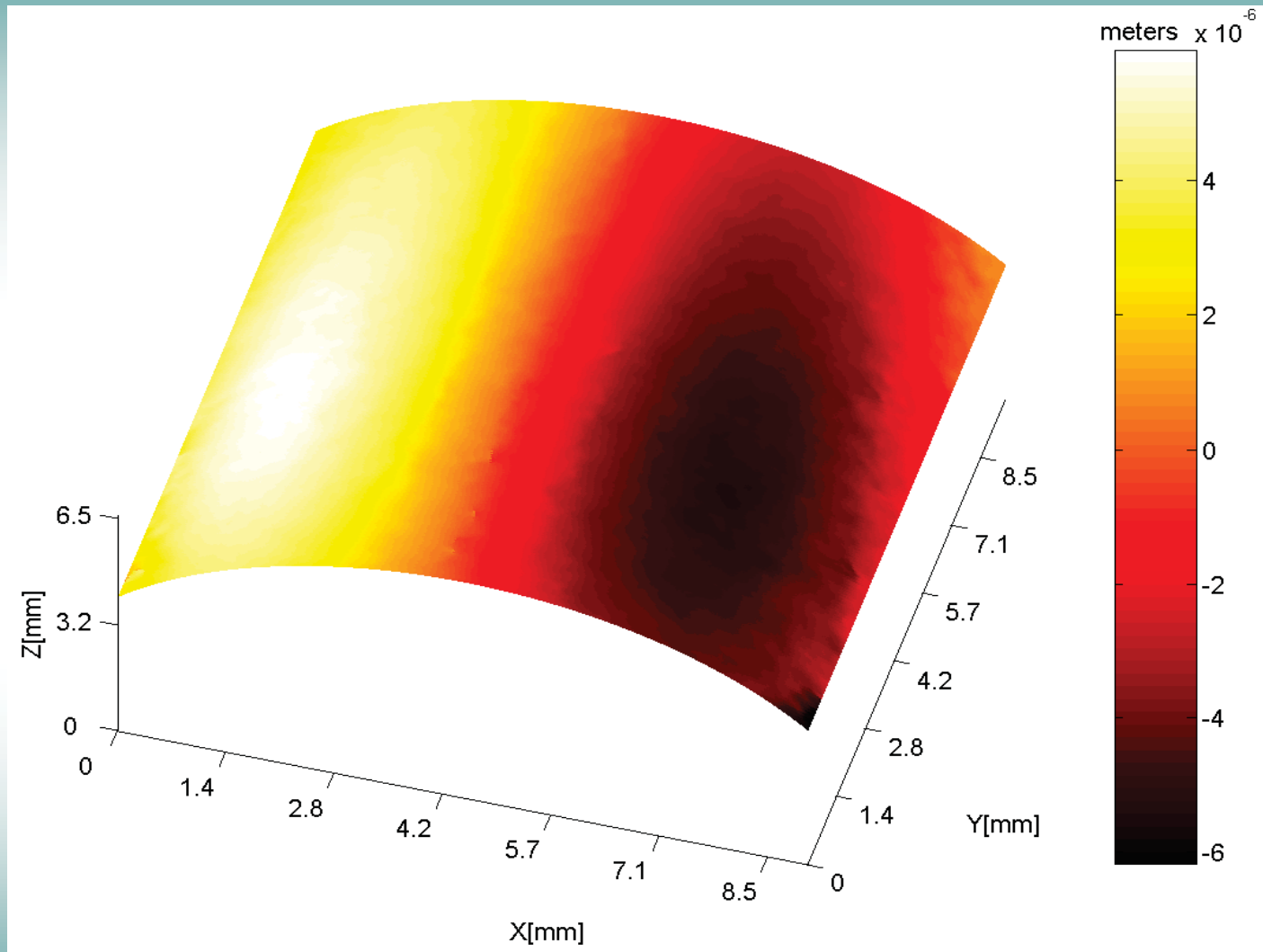


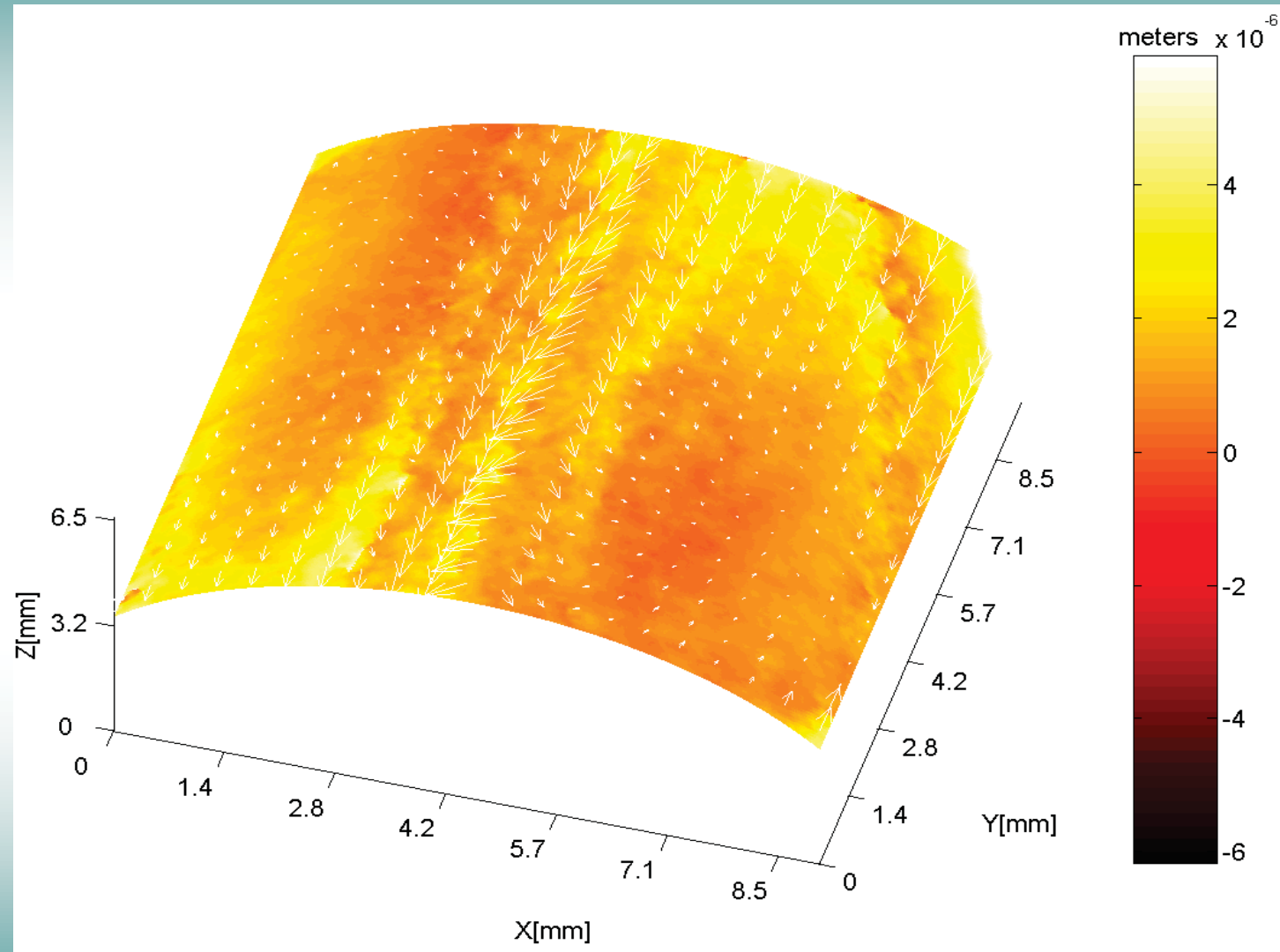
Separation of individual displacement components







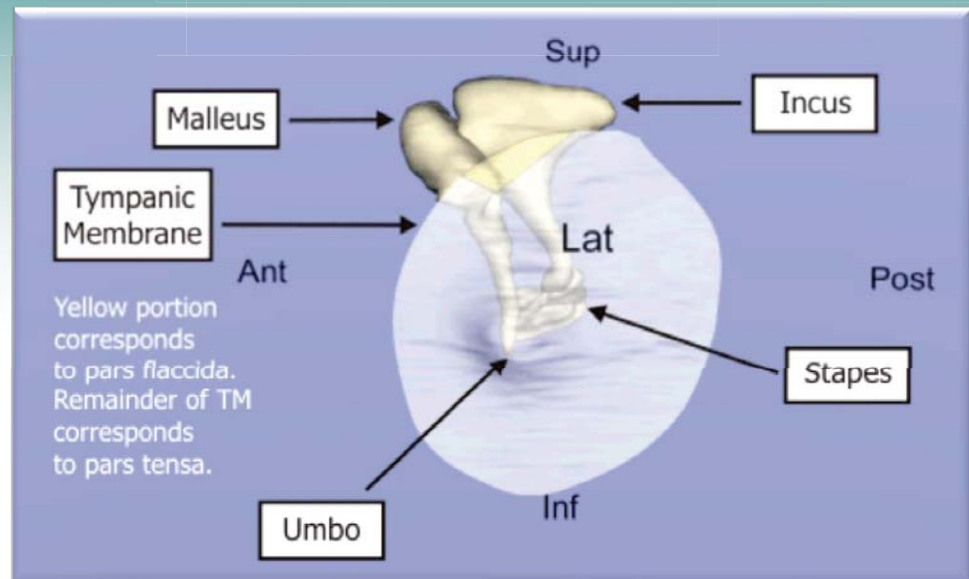




Tympanic Membrane



Endoscopic image of the TM



Characteristics of human TM

Semitransparent

Cone shaped

The depth of the cone is about 1.5 mm

Diameter is 8-10 mm

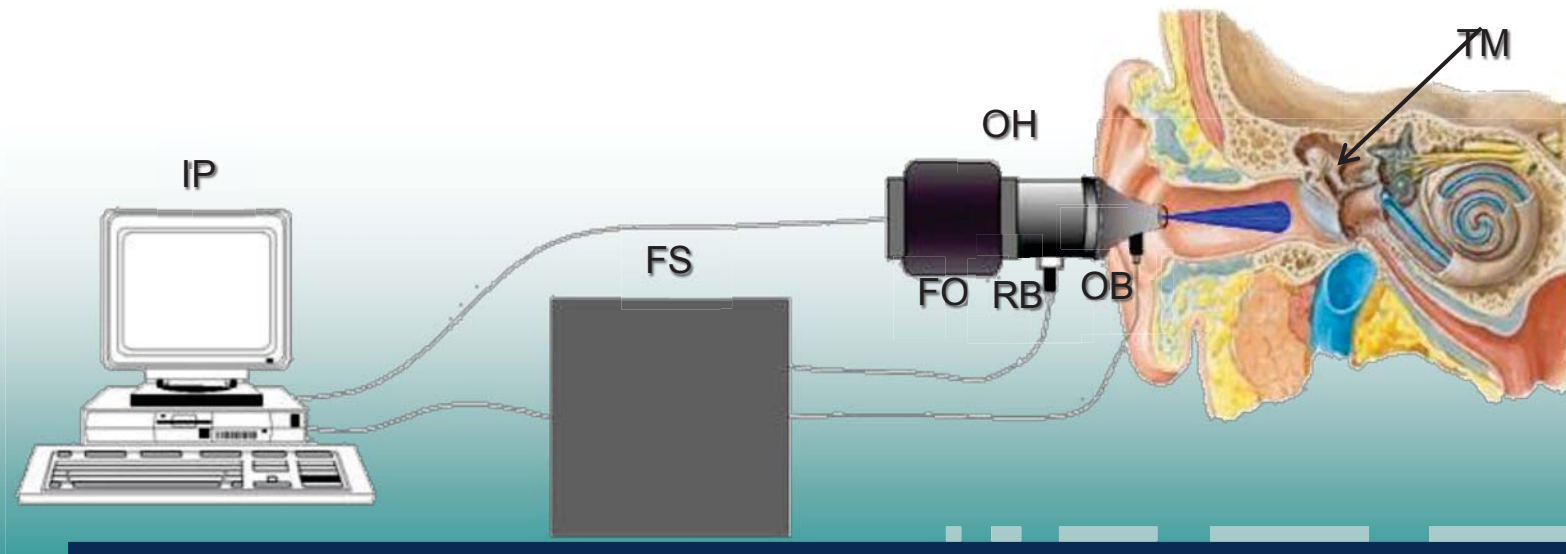
Thickness varies between 55 and 140 μm



OEHO System

The inspection system consists of:

- High speed PC with dedicated software and hardware,
- Fiber optics, FS, and
- A compact optics head resembling an otoscope, OH





Otoscope optics head (OH)

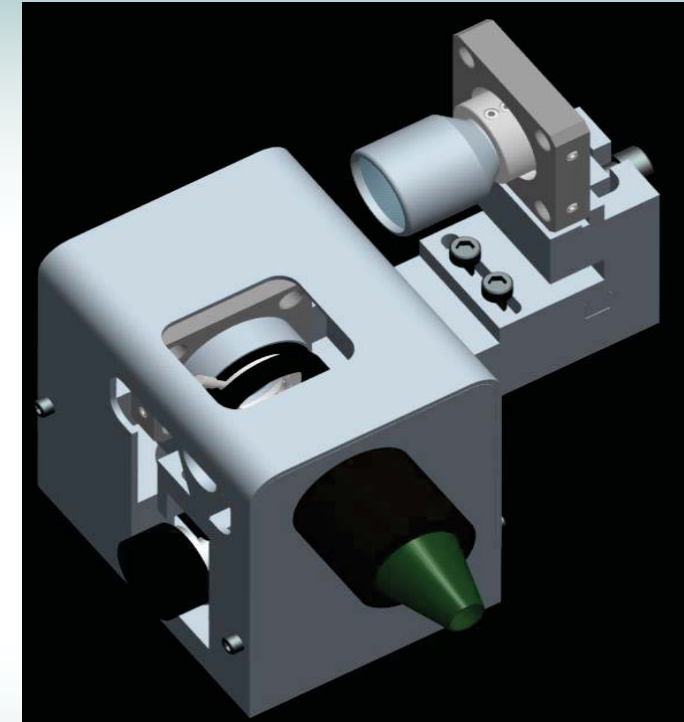
Parameters	Value
FOV	$\phi = 10$ mm
Magnification	0.4X
DOF	5 mm
Contrast	0.82
MTF	52.0 lp/mm

Field of View (FOV)

10.0 mm

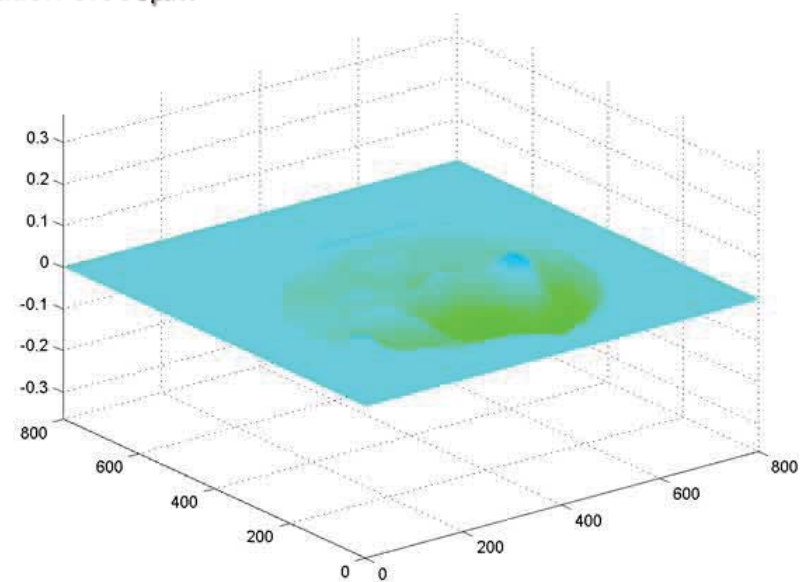
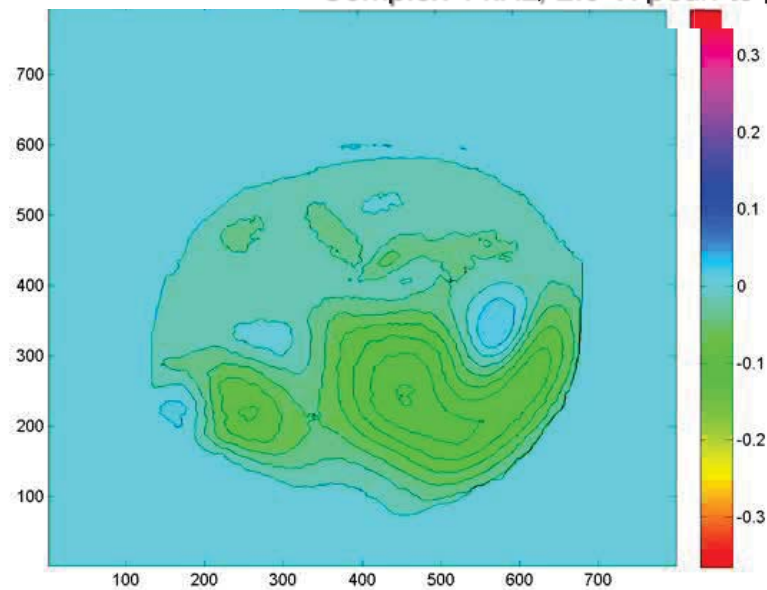
8.5 mm

6.7 mm



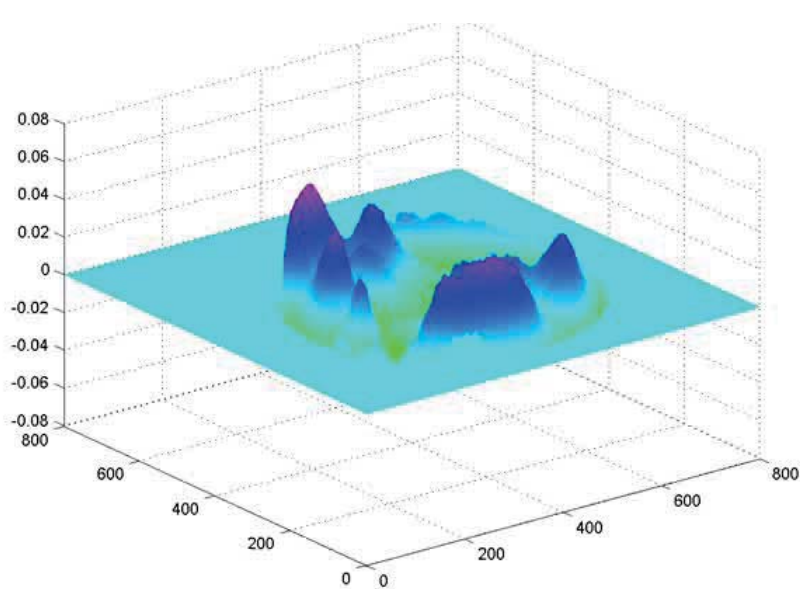
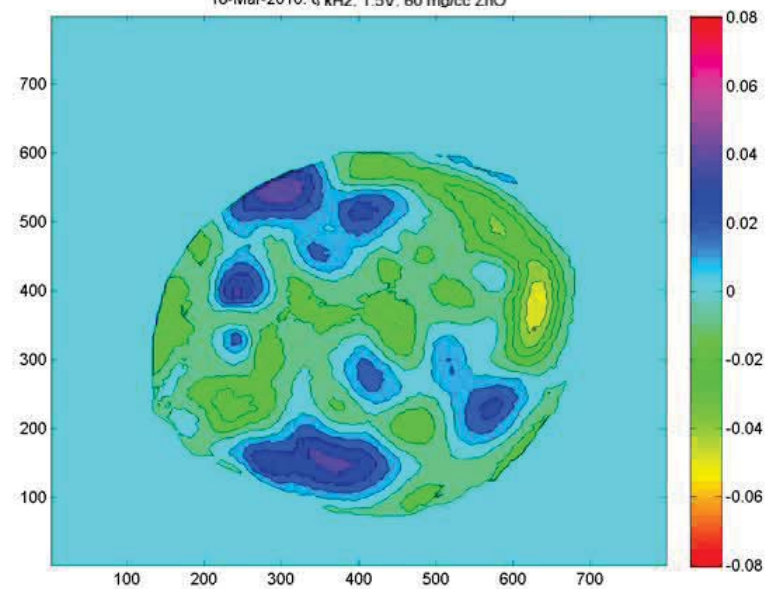
CAD model of compact (OH)

Complex 4 kHz, 2.0 V: peak-to-peak deformation 0.660 μm



Ordered 8 kHz, 1.5 V: peak-to-peak deformation 0.080 μm

18-Mar-2010: 8 kHz, 1.5V, 60 mg/cc ZnO





■ Rock.....noisy?



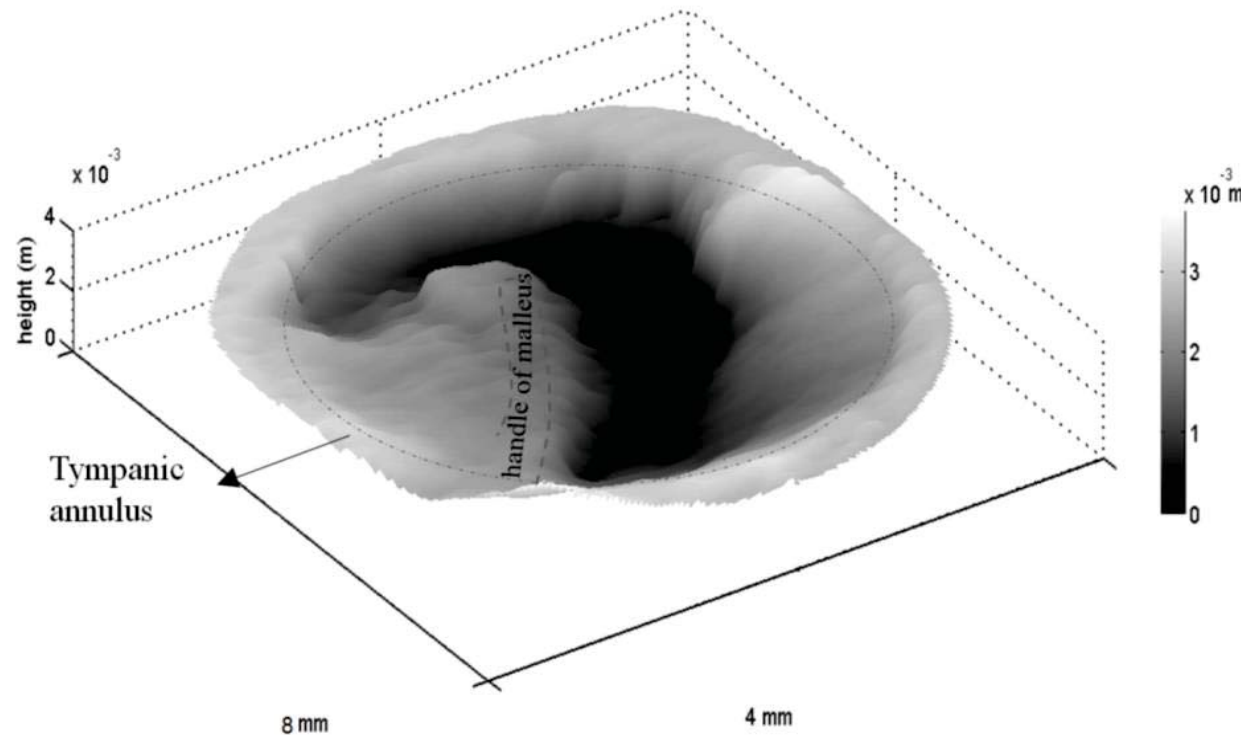


softer....classical



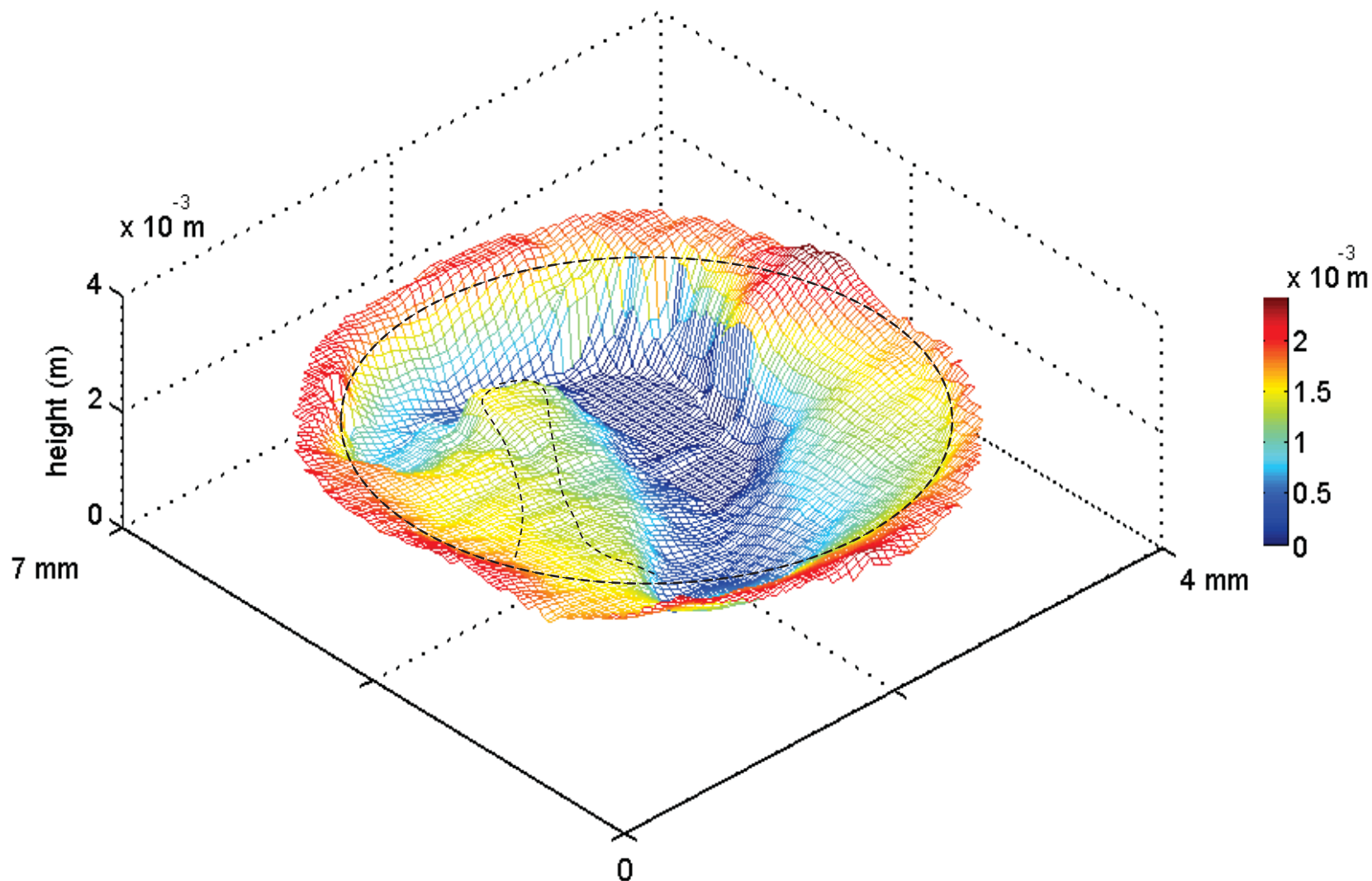
The TM surface height-change may be found from the difference between the reconstructed phases which are recorded before and after the small tilt of the object illuminating beam by the follow equation:

$$\Delta\varphi = 2K \sin \frac{\Delta\theta}{2} \left[x \cos \left(\theta + \frac{\Delta\theta}{2} \right) - h(x) \sin \theta + \frac{\Delta\theta}{2} \right]$$



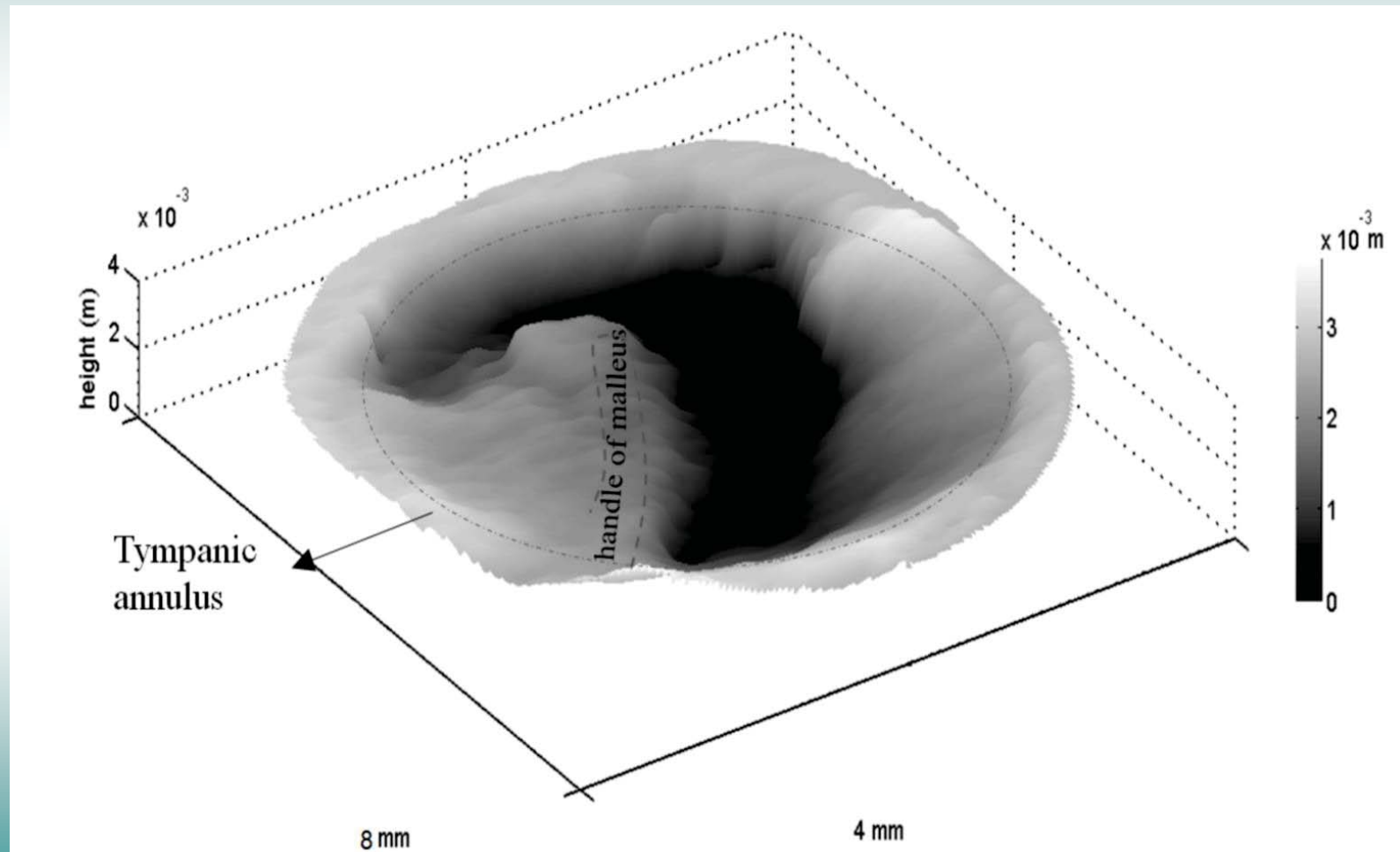


Shown : Tympanic annulus and handle of maleus



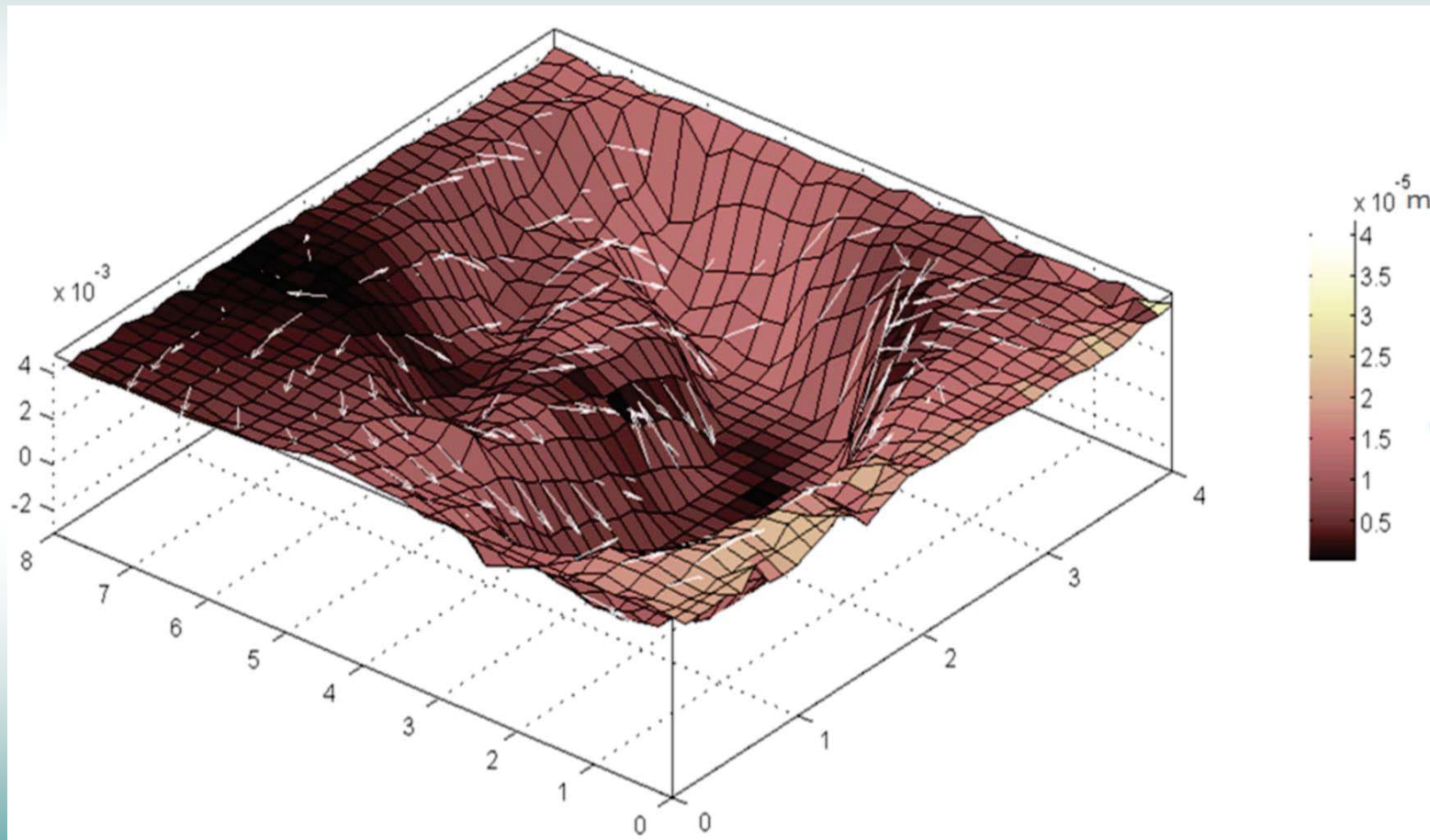


3D Displacement on the TM shape





3D Displacement on the TM shape



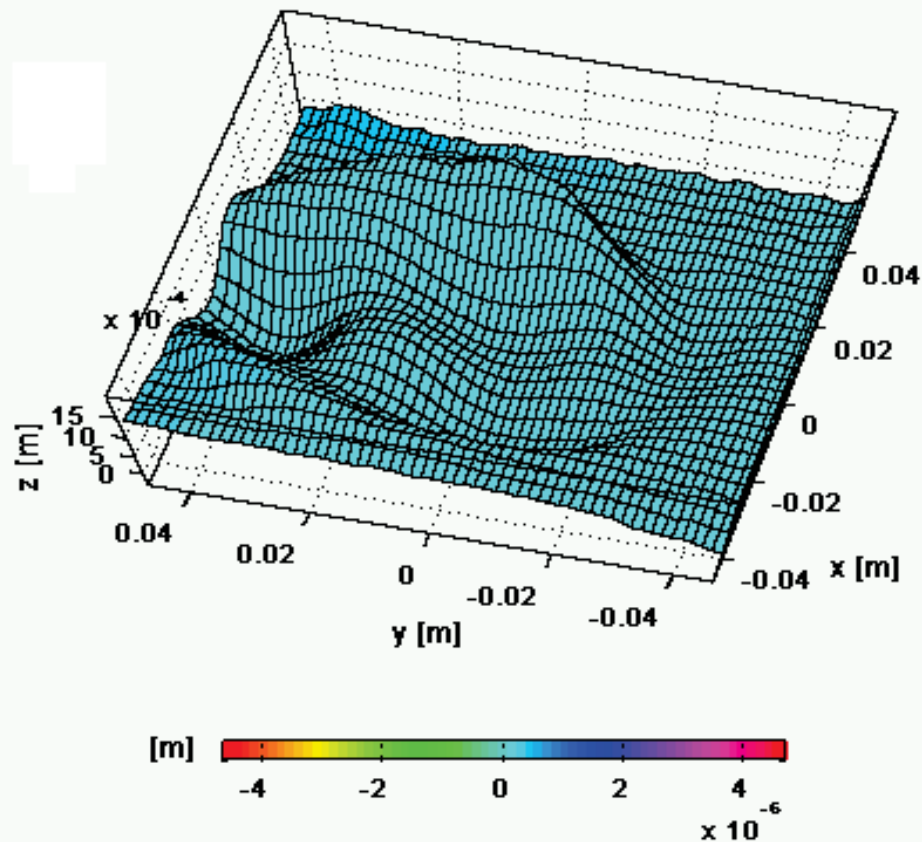


INHOMOGENEITIES DETECTION (TUMORS)

- Input sound power of approximately 661 mW, equivalent to a pressure of 2.3×10^5 pa.
- Laser pulse separation 14 ms, at 532 nm, 15 ns pulse width, 20 mJ/pulse, average power of $0.639 \mu\text{W}/\text{cm}^2$ at the surface, and 6 m of coherence length.
- CCD with 1024 by 1280 pixels at 12 bits.
- Phantom is a semi sphere with an 8.4 cm in diameter and 4 cm height.

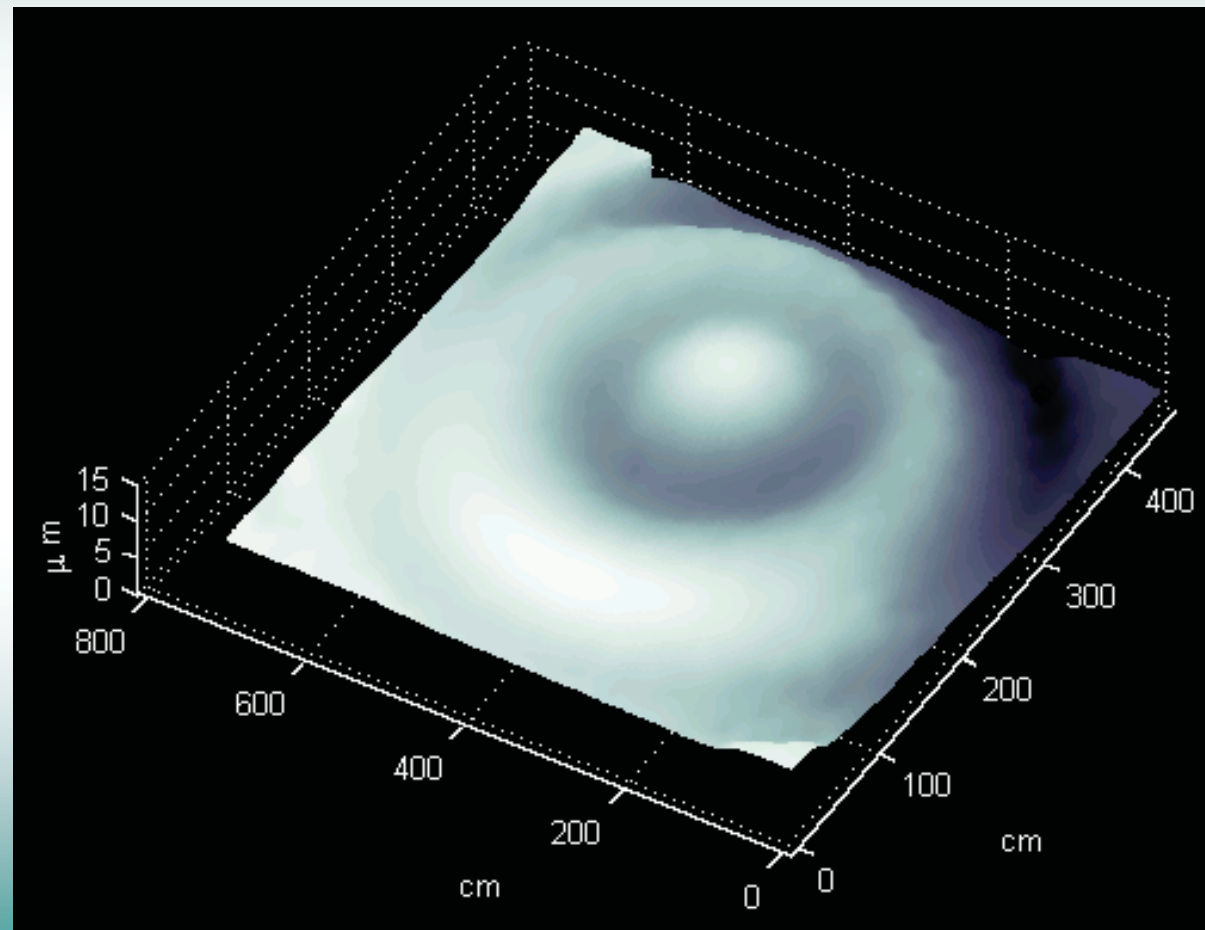


Unwrapped phase map without sound,
gel surface free to move due to environmental
disturbances

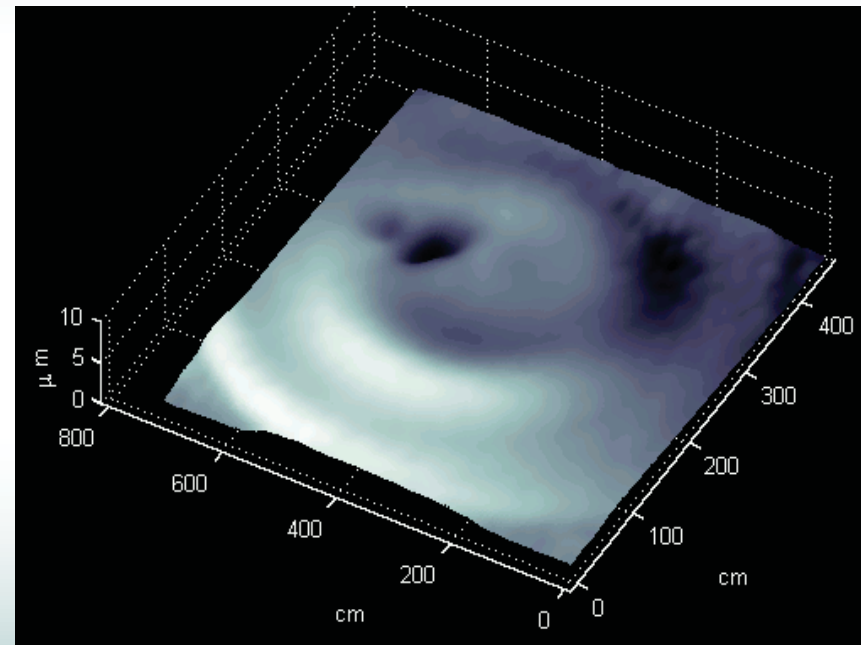
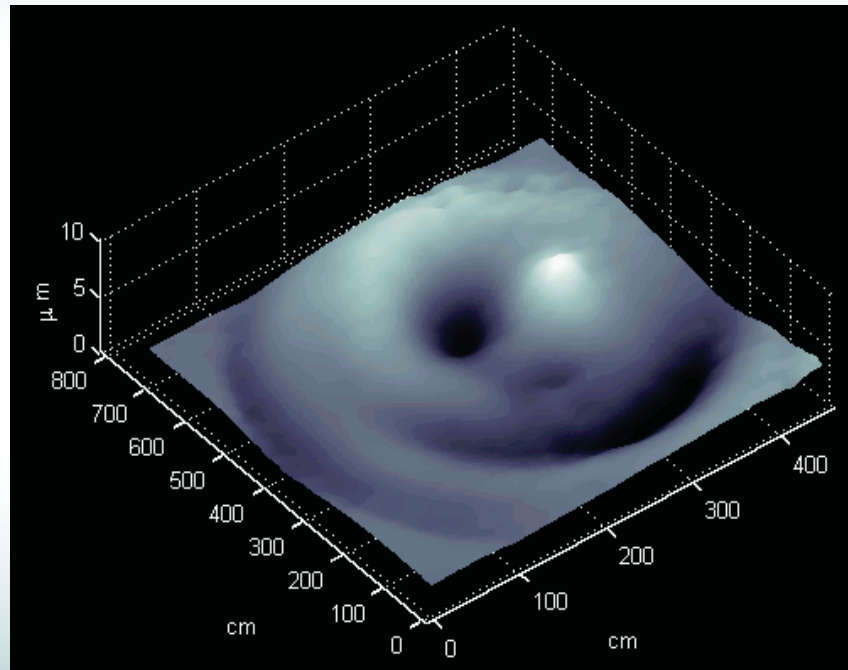


It is not possible to
observe whether
there is an
inhomogeneity in
the gel

Without inhomogeneity and sound:
resonant mode at 810 Hz.

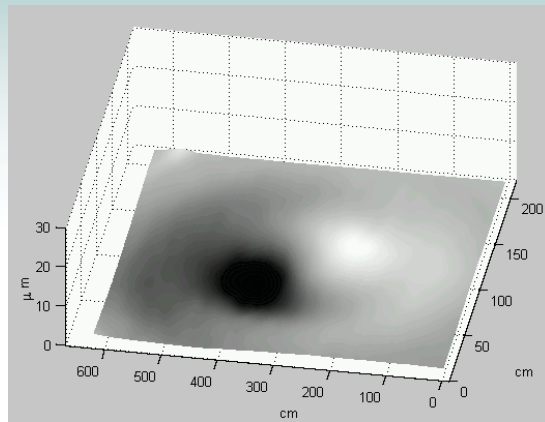


With inhomogeneity: Malignant tumor 10 mm diameter

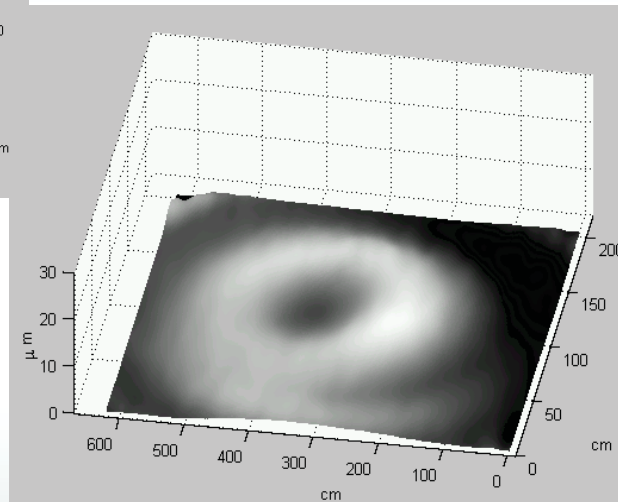


With 3D data the depth of the tumor may be found

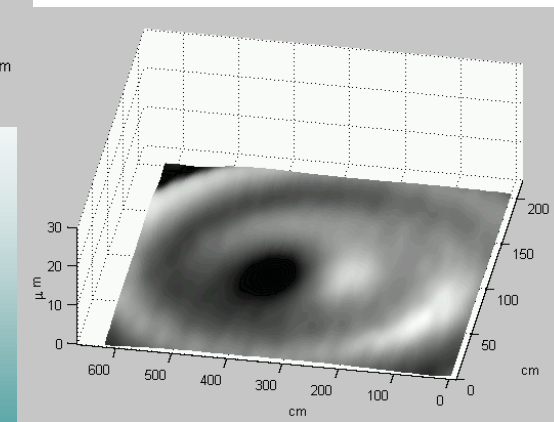
Unwrapped phase maps corresponding
to each illumination direction



L



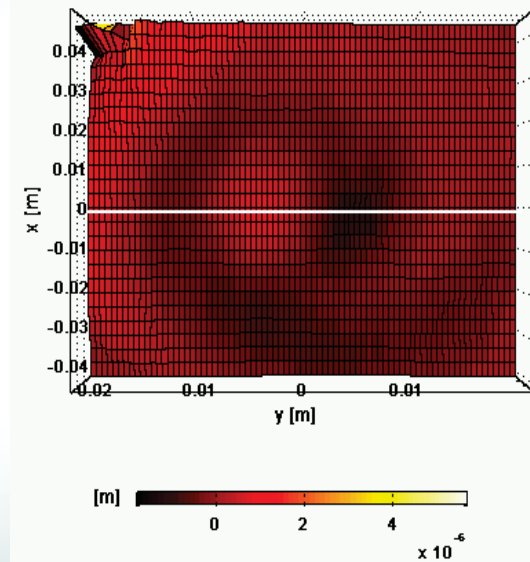
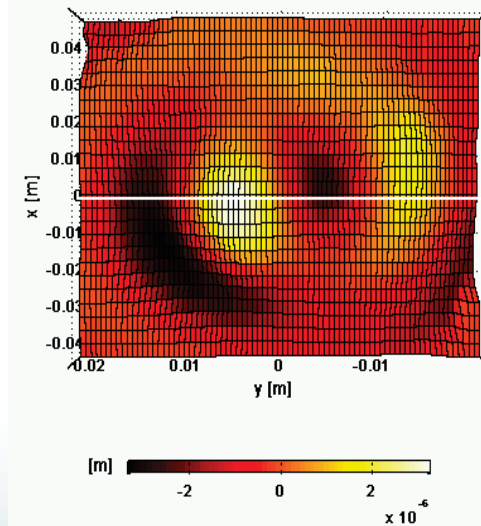
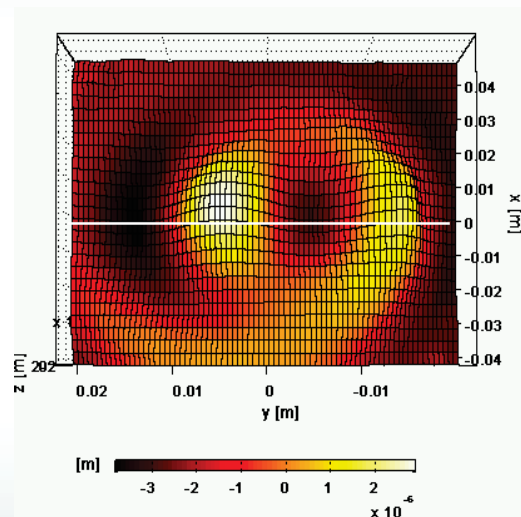
C



R



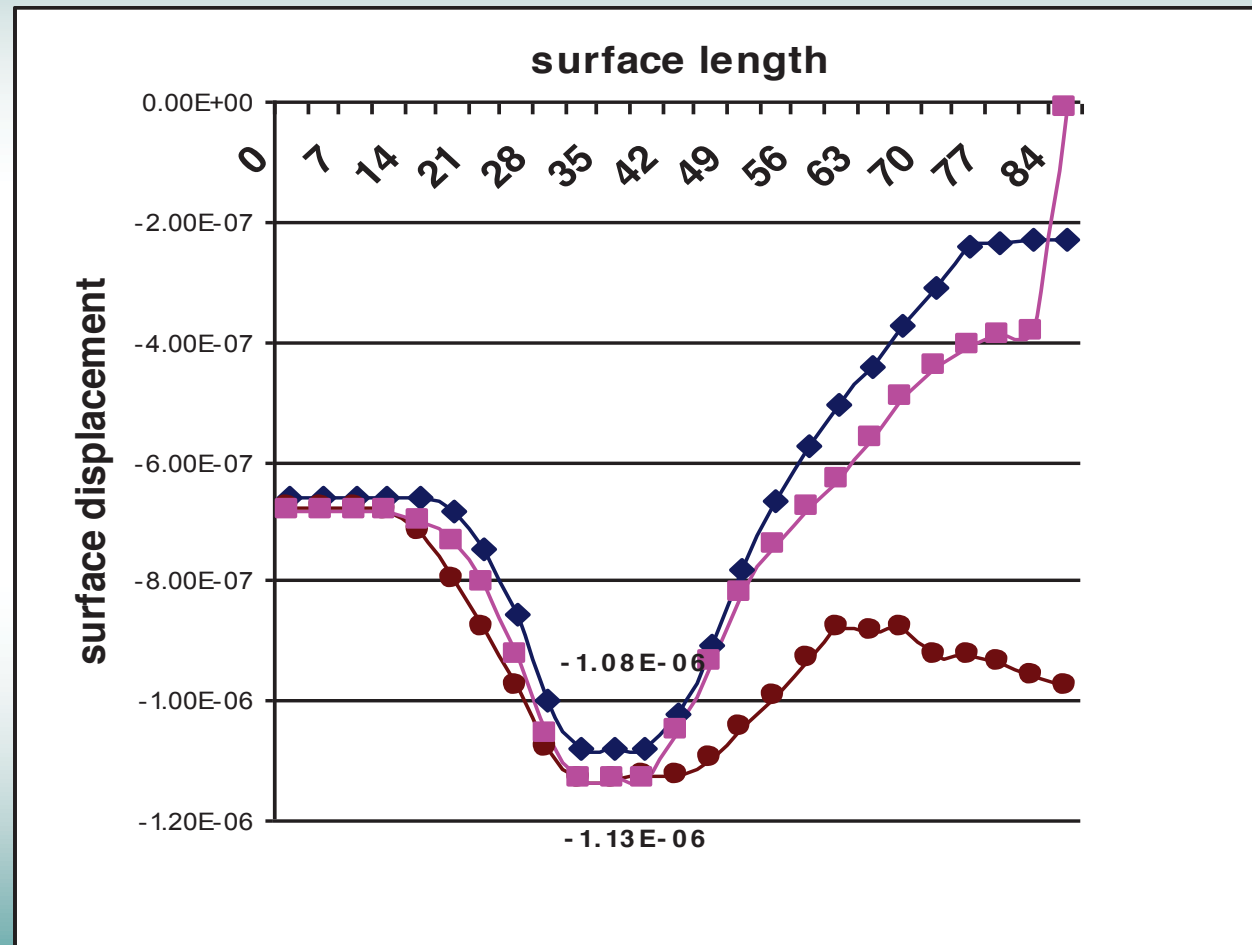
Malignant tumor 10 mm diameter, 3D data



Journal of Biomedical Optics, **12** (2), pp. 024027-1/024027-5 (2007).

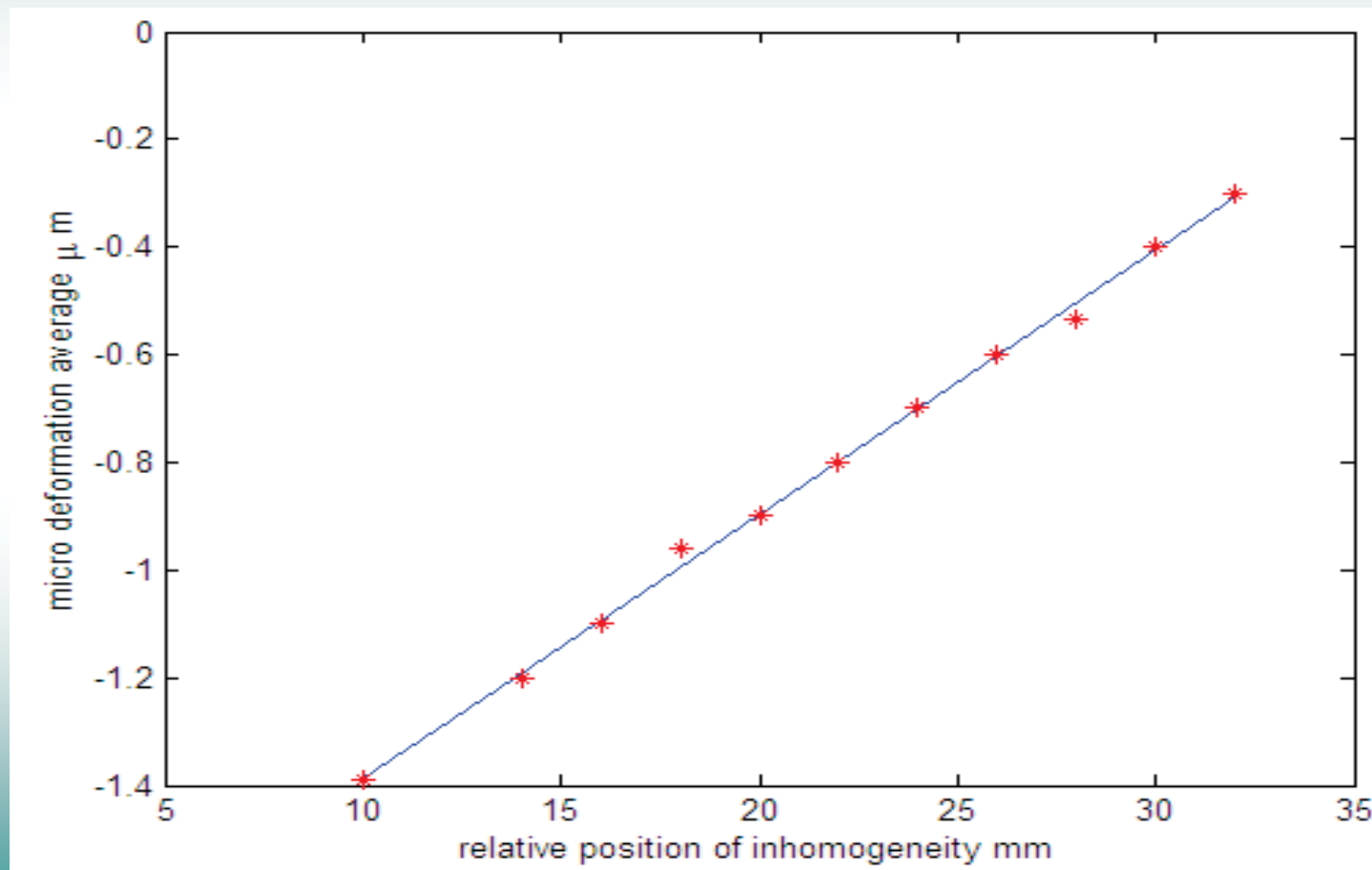


Depth location with respect to the surface



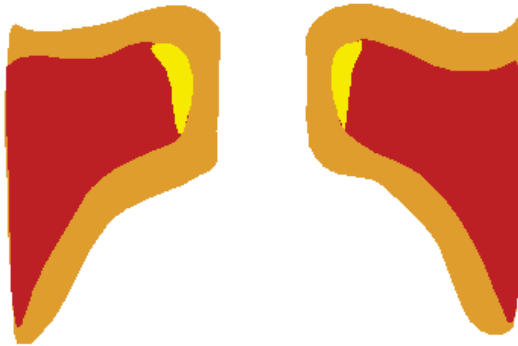


Results fitted to a straight line for calibration purposes



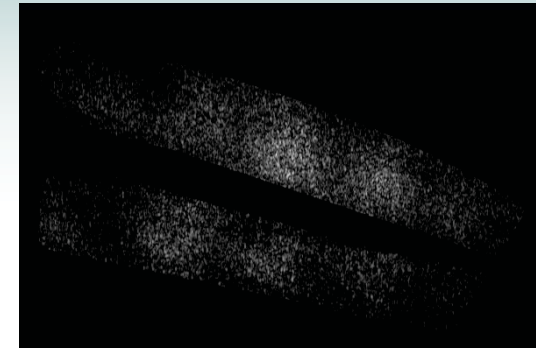


Vocal chords displacements (Pig's Larinx)

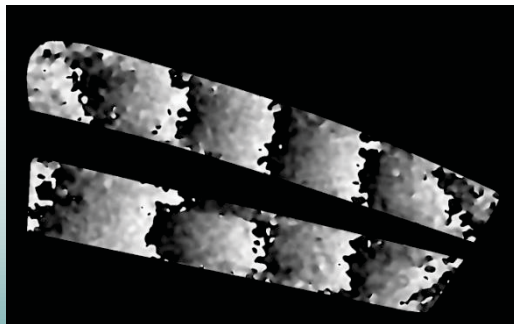


VOCAL CHORDS MOVEMENT

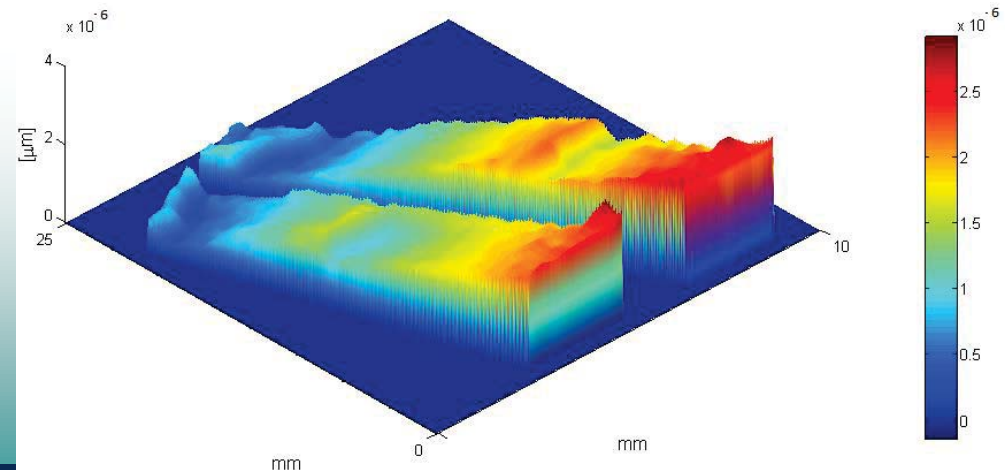
La amplitudes de vibración y las velocidades depende de la fonación. Así como la edad y sexo, determinan sus características fisiológicas de las cuerdas.



FRINGE PATTERN



WRAPPED PHASE

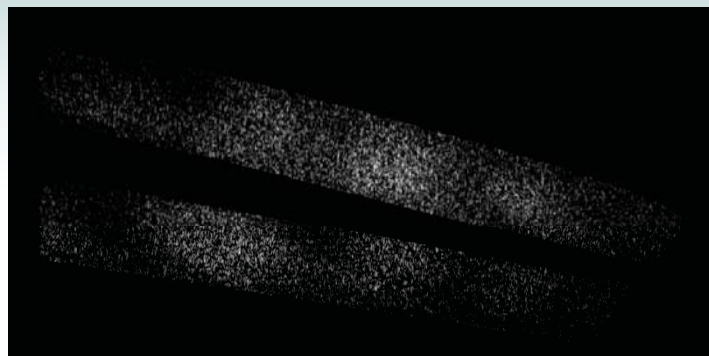


2000 fps

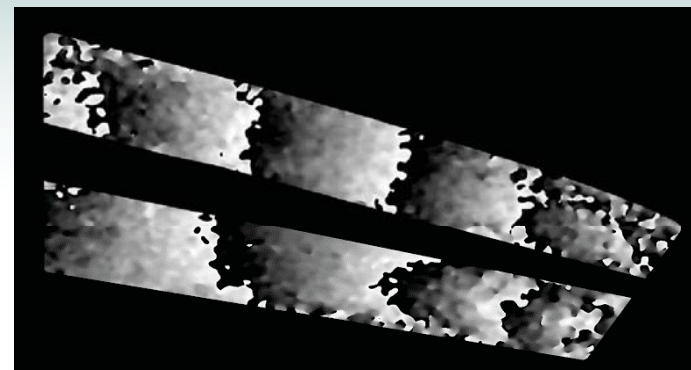


VOCAL CHORDS MOTION

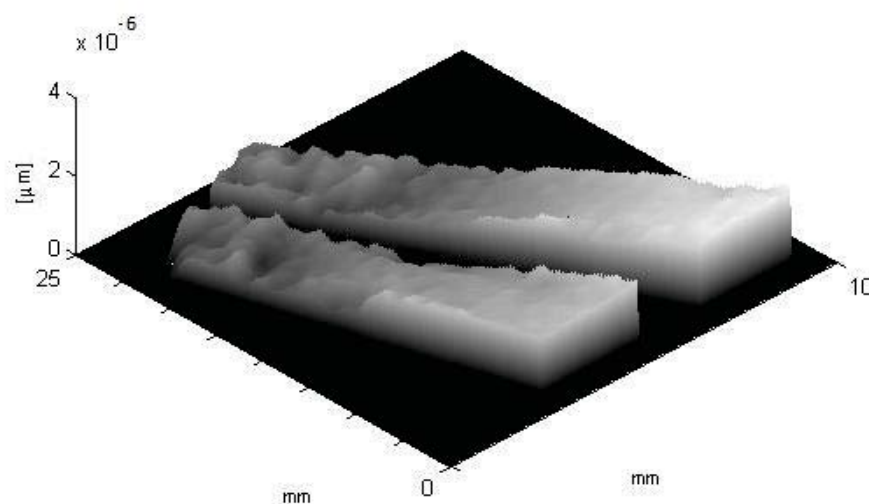
FRINGE PATTERN



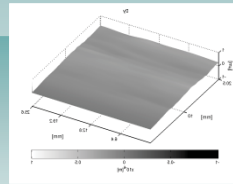
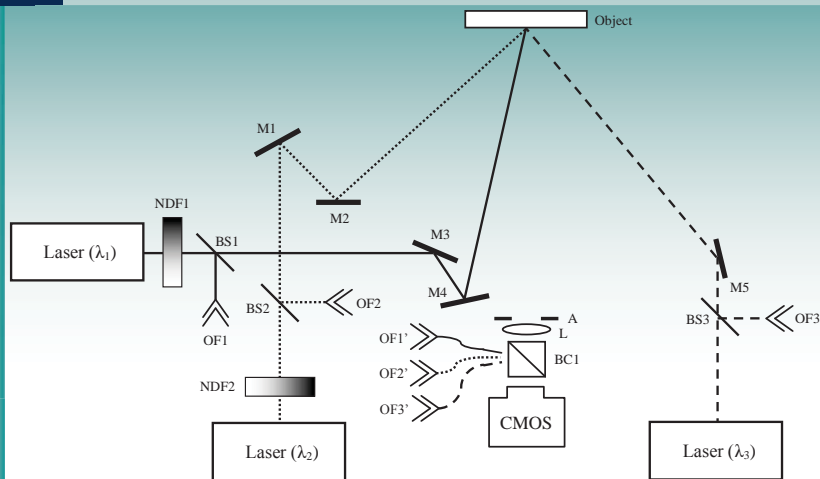
WRAPPED PHASE



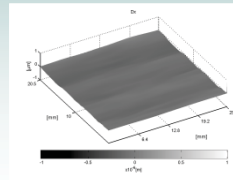
2000 fps



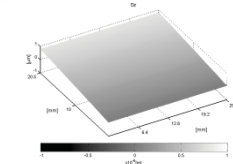
Biomechanics, Stress calculation



u → Biomechanical studies*

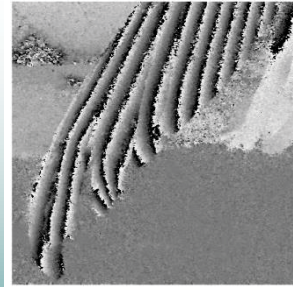
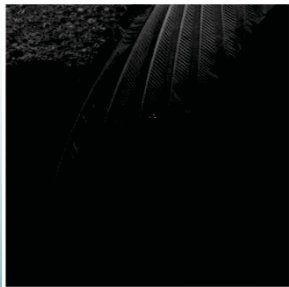


v → Strain/Stress

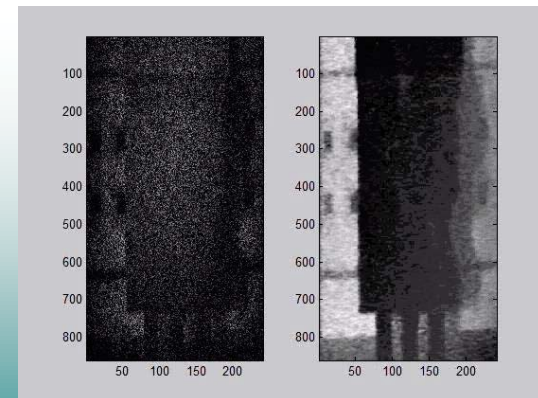
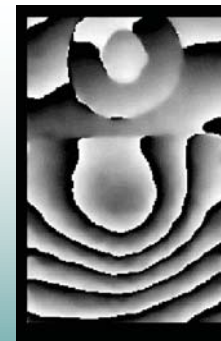


w →

Research on complex organical surfaces



Thermal deformations (transistor)

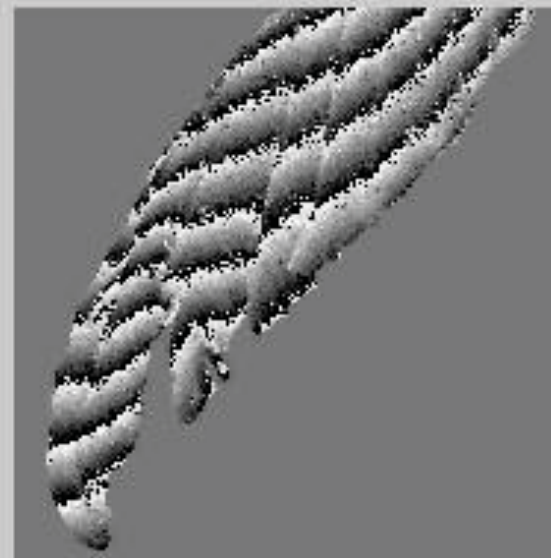




Fringe pattern

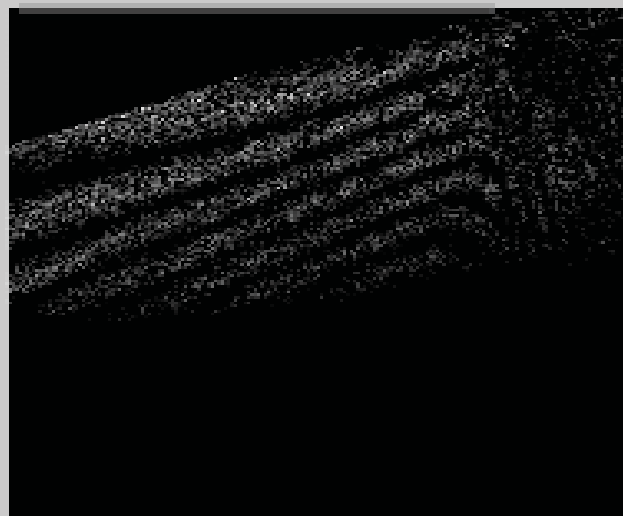


Wrapped phase map

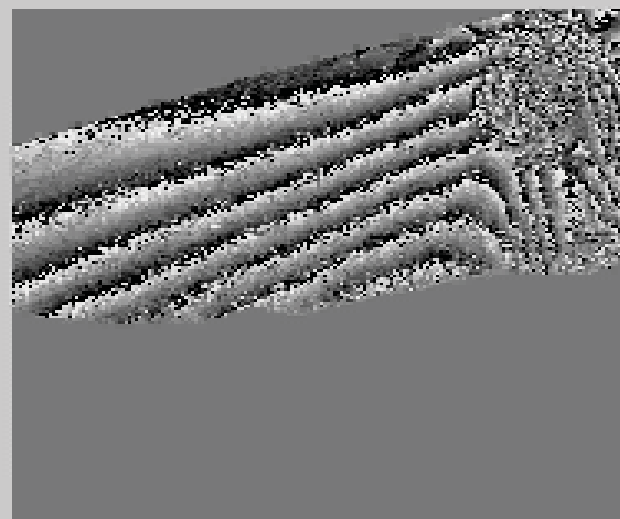




Fringe pattern



Wrapped phase map





Butterflies in-flight



Capture



Fixing



experimental
measurement





Comparison among 4 butterflies



Pterourus Multicaudata



Agraulis Vanillae Incarnata



Dannaus Gillipus Cramer



Precis Evarete Felder

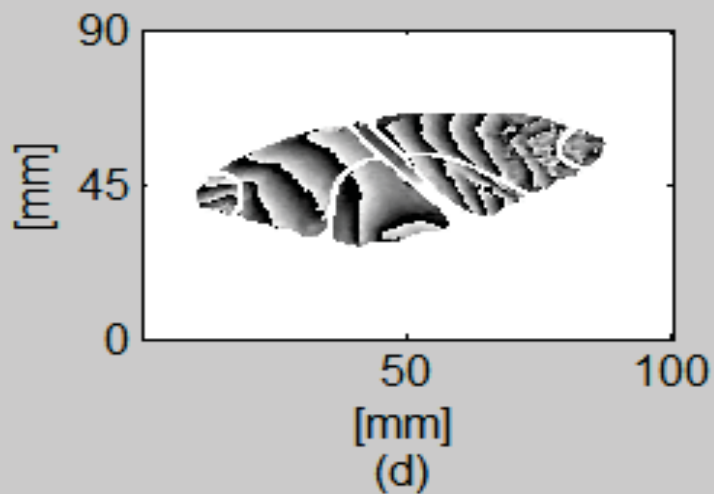
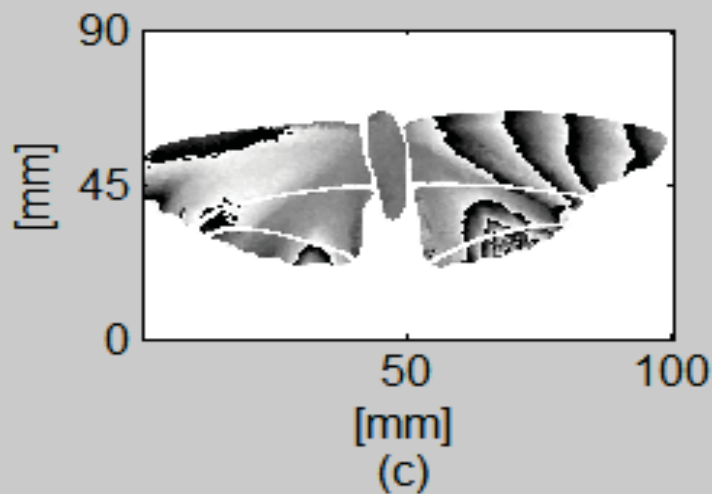
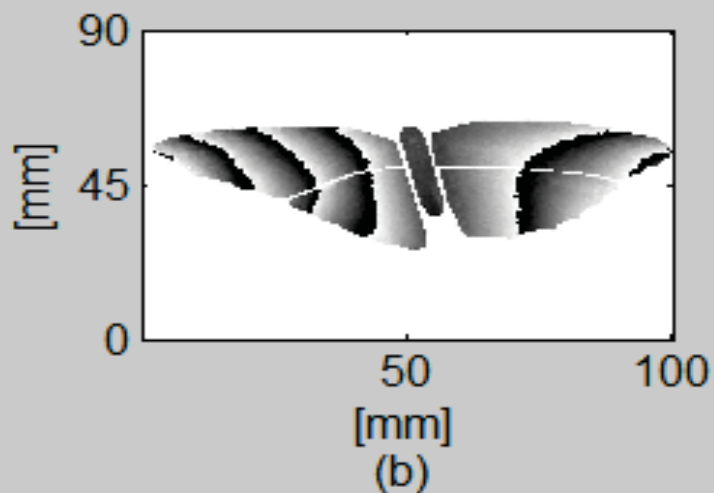
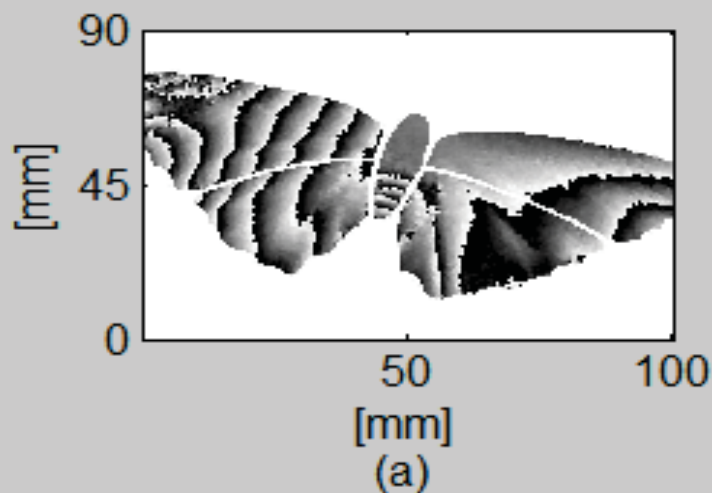
- in-vivo experimentation
- High speed DHI
- Laser Verdi (Coherent V6)
- Illumination density on the insecto:

19.6 mW/cm²

- NAC GX-1 camera
- Recordings at 4000 fps
- FOV: 90 x 100 mm
- 800 x 800 pixels
- 10 bits dynamic range

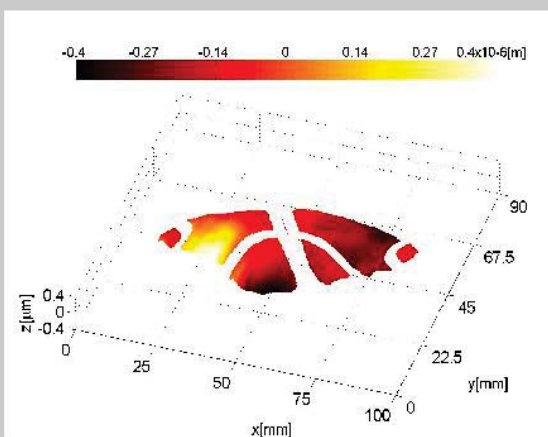
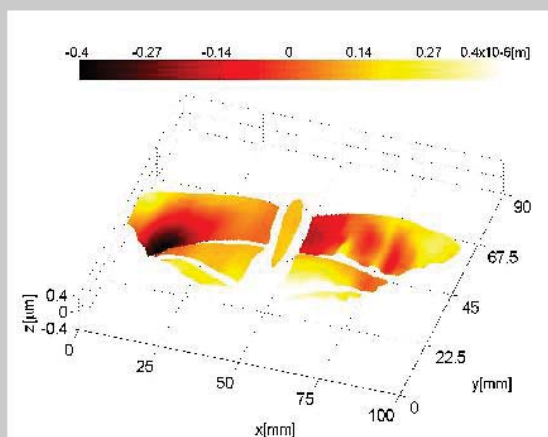
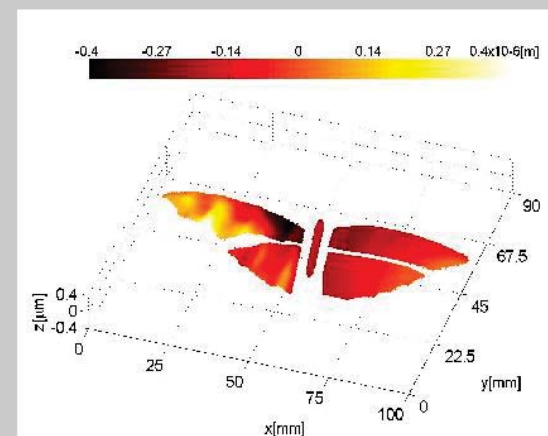
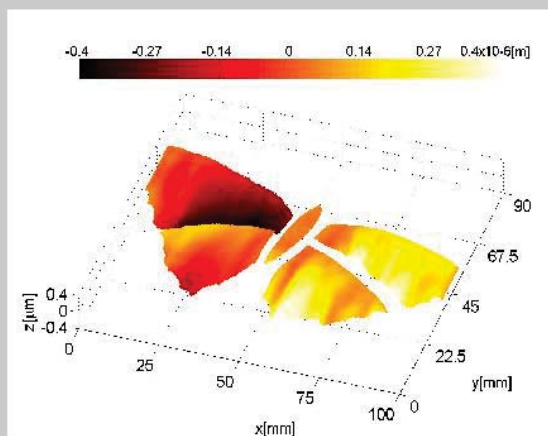


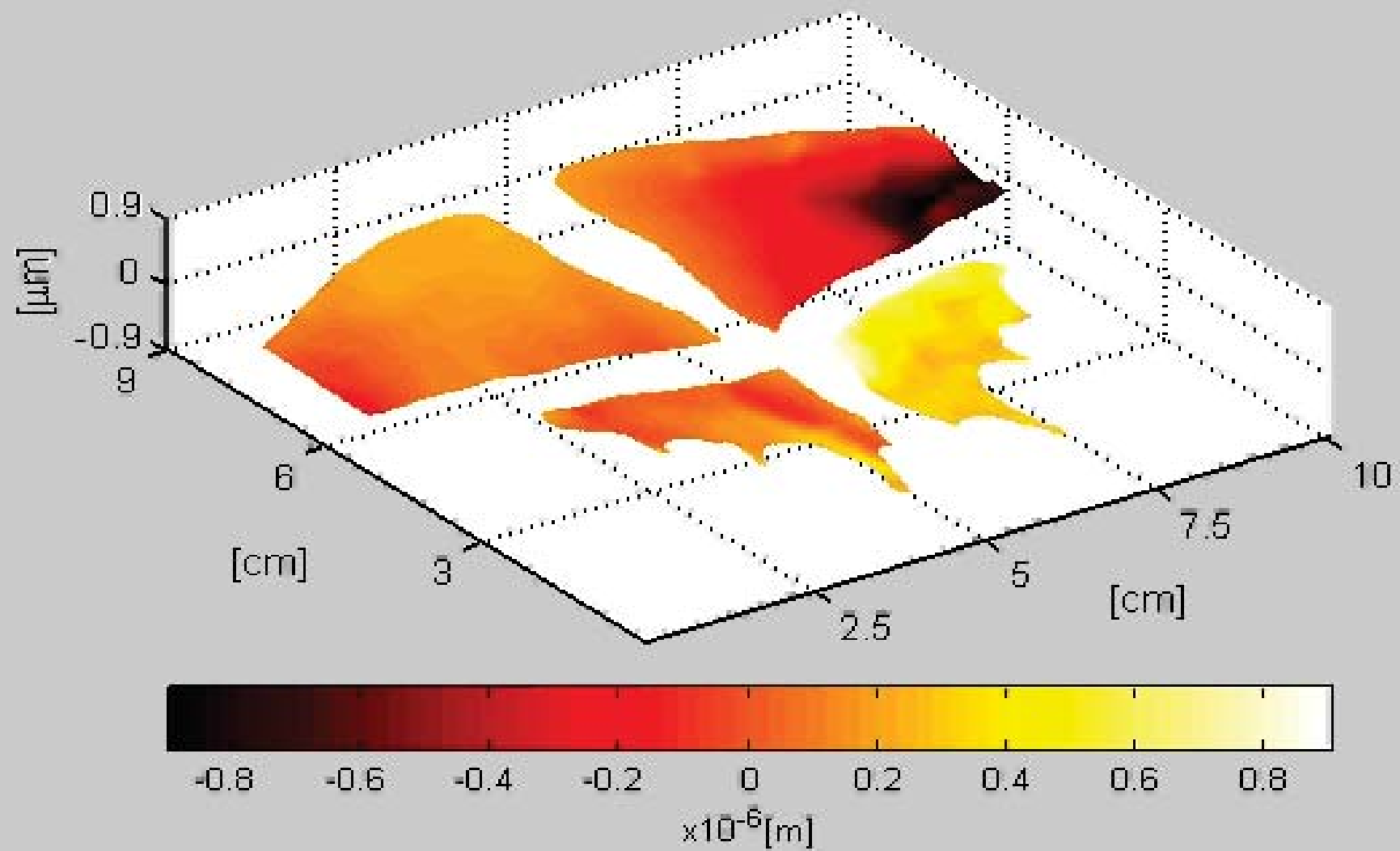
Wrapped phase maps





Unwrapped phase maps







Summary

- Interferometry is “not such an old” subject. The first ever experiment, the two slit T. Young’s interferometer, is used in today’s state of the art lasers (FEL).
- Interferometry allows the non contact more accurate measurements known today. Novel approaches are all the time on the way
- Interferometric systems are being used in many areas of Optics and Photonics, from optical shop testing to writing of Bragg gratings, to being incorporated in lab in a chip.
Electronic Speckle Pattern Interferometry have been successfully used over the last 40 years.
- Digital Holographic Interferometry brought solutions to new challenges





ACKNOWLEDGEMENTS

MY DEEPEST APPRECIATION TO ICTP FOR
HAVING INVITED ME TO CO-DIRECT THIS
COURSE.....ONLY 32 YEARS AFTER I
WAS ATTENDING THE “same” COURSE
but as a STUDENT!!





Thank you for your kind
attention

