Introduction to Quantitative XRF analysis

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Outline

- Basic mechanisms for ionization/fluorescence process
- Primary XRF Intensity
- Indirect enhancement processes of XRF intensity
- XRF analysis in the real world:
  - Non-parallel exciting beams
  - Influence of surface topography
  - Geometrical considerations
  - Particle size effects

Interaction of X-rays with atoms

Cross section / (barns

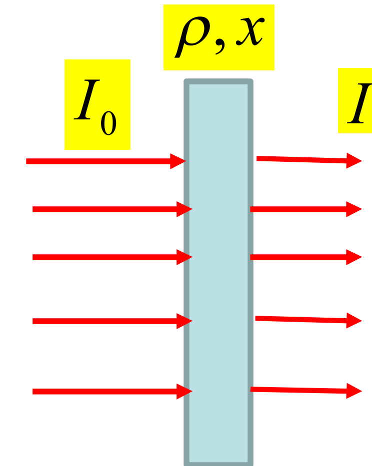
Rayleigh
Compton
Photoelectric

Pb
M-edges
Fe
Air
C
K-edge
L-edges
K-edge
Pb
Fe
Air
C
Air
Pb
Fe
C

10^{7} 10^{6} 10^{5} 10^{4} 10^{3} 10^{2} 10^{1} 10^{0} 10^{-1} 10^{-2}

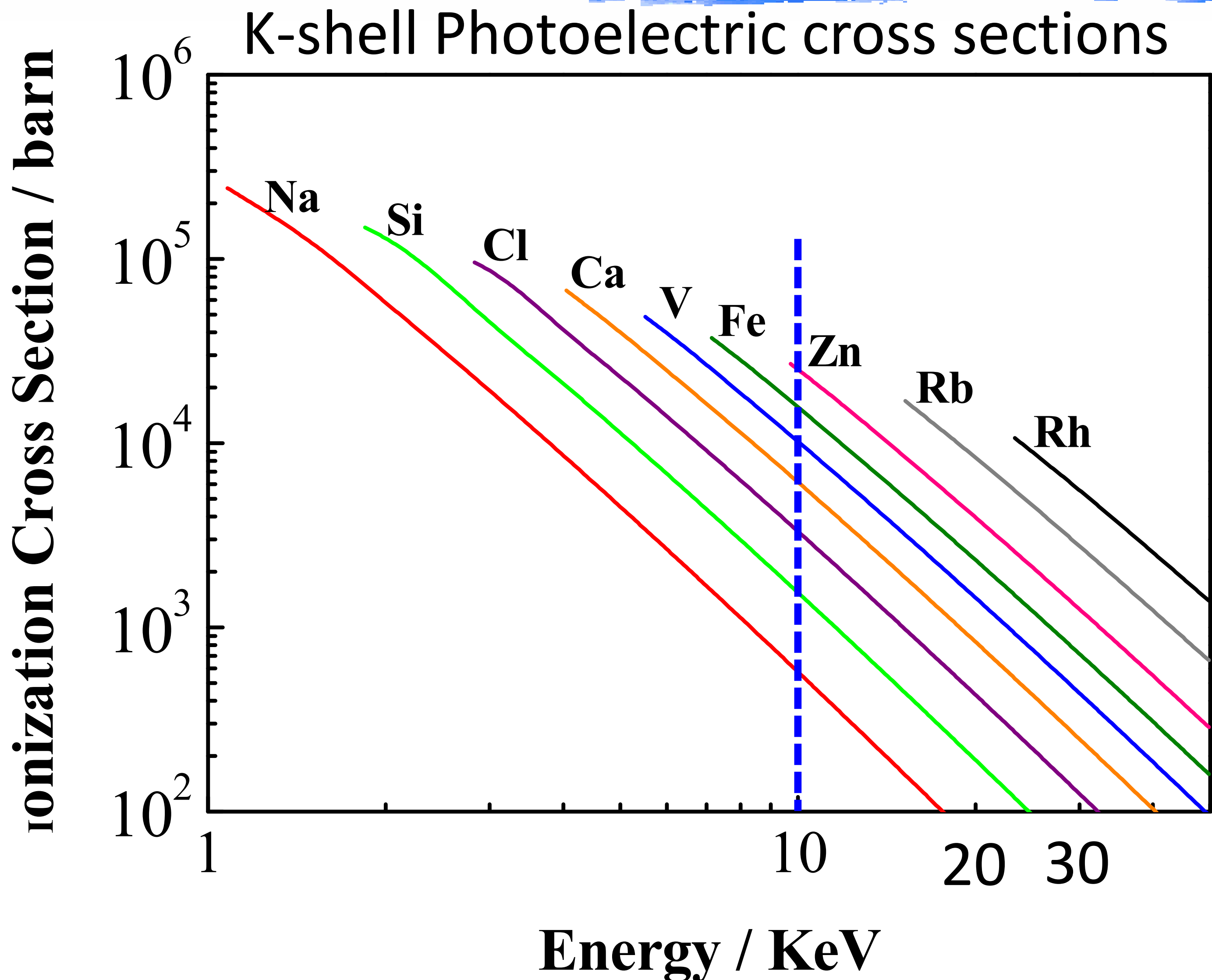
1 10 100

Energy / keV



$$I = I_0 \cdot e^{-(\tau + \sigma_R + \sigma_C) \cdot \rho \cdot x}$$

Photoelectric cross sections



10^4-10^5 b

Photon ICS from "Elam database" Elam W.T. et al., *Radiat. Phys. Chem, 63,* (2002), 121

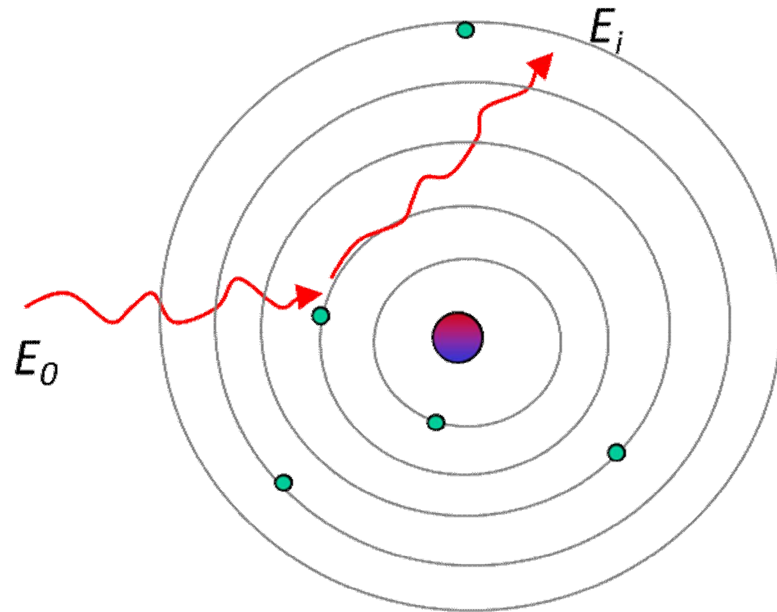
Photoelectric cross section:

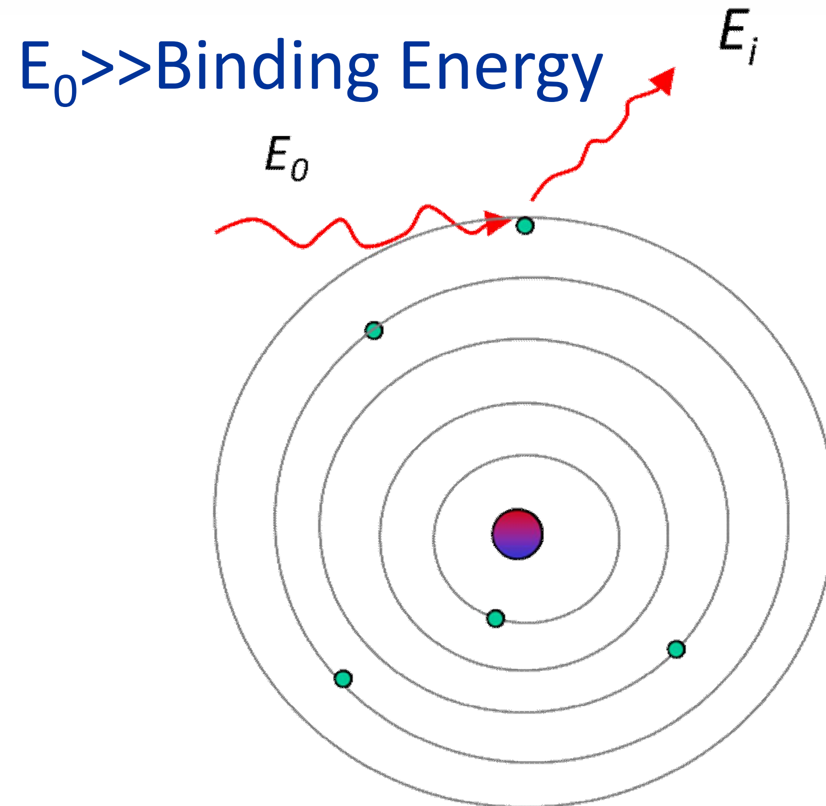
$$\tau \sim E^{-3.5}$$

$$\tau \sim Z^{3\ to\ 4}$$

X-ray Scattering Interactions with atoms

E_0>>Binding Energy



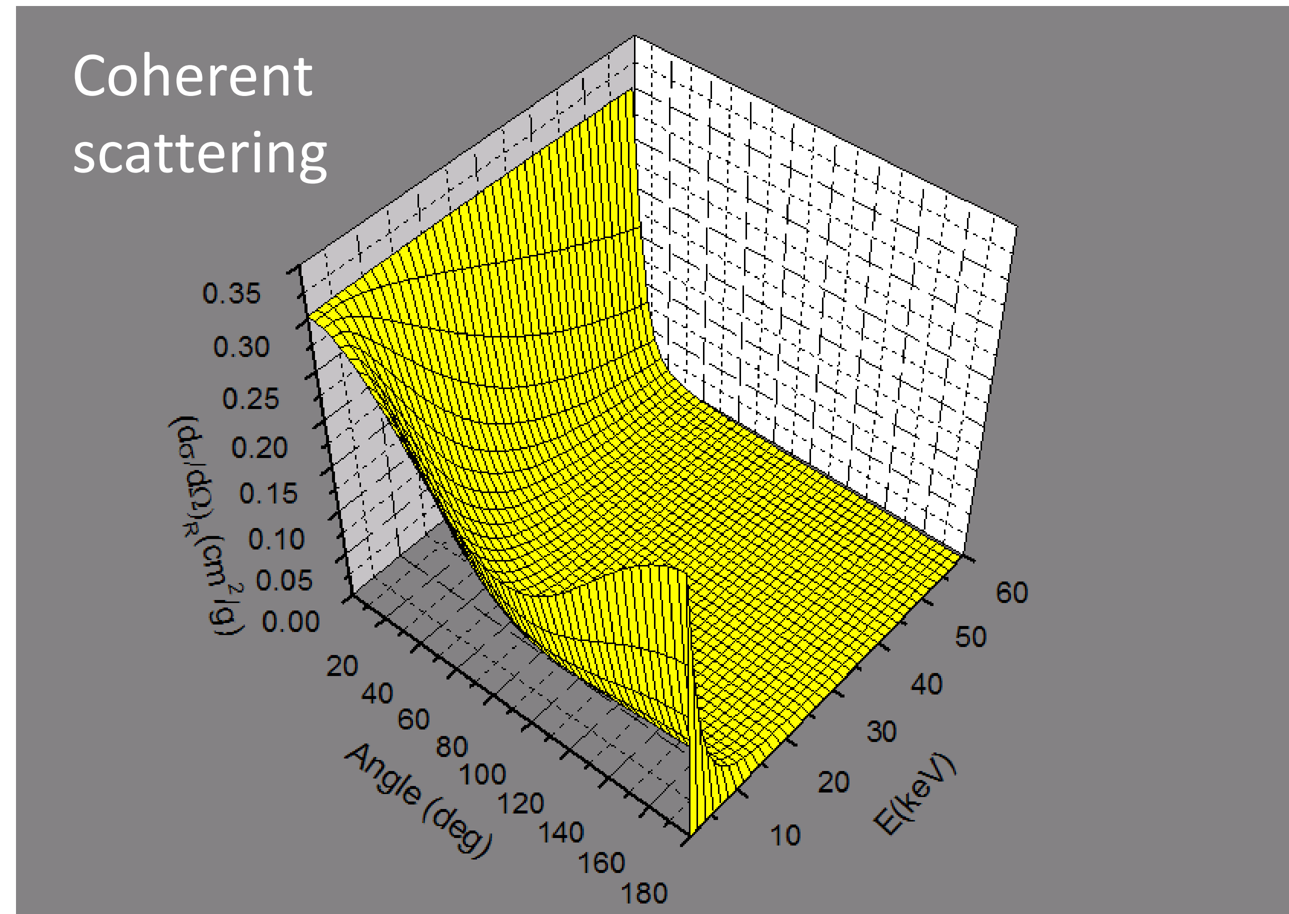


***E_i=E_0* : Coherent (Rayleigh),** mostly with inner atomic electrons

E_i < E_0: Incoherent (Compton), mostly with outer, less bound electrons

Scattering probabilities: Unpolarized excitation

Z	WF (%)
Al	8.4
Si	26.7
Ca	9.3
Fe	9.8



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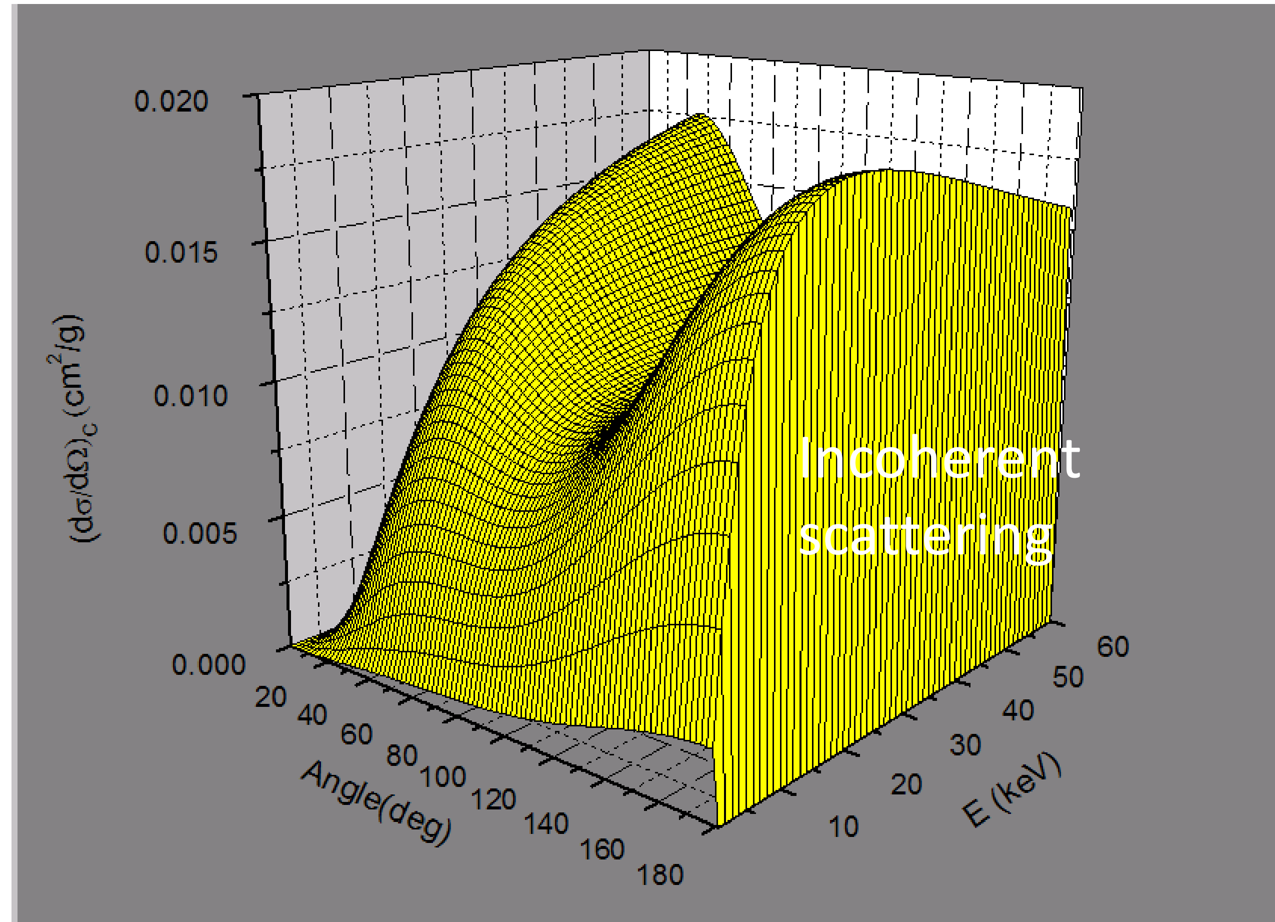
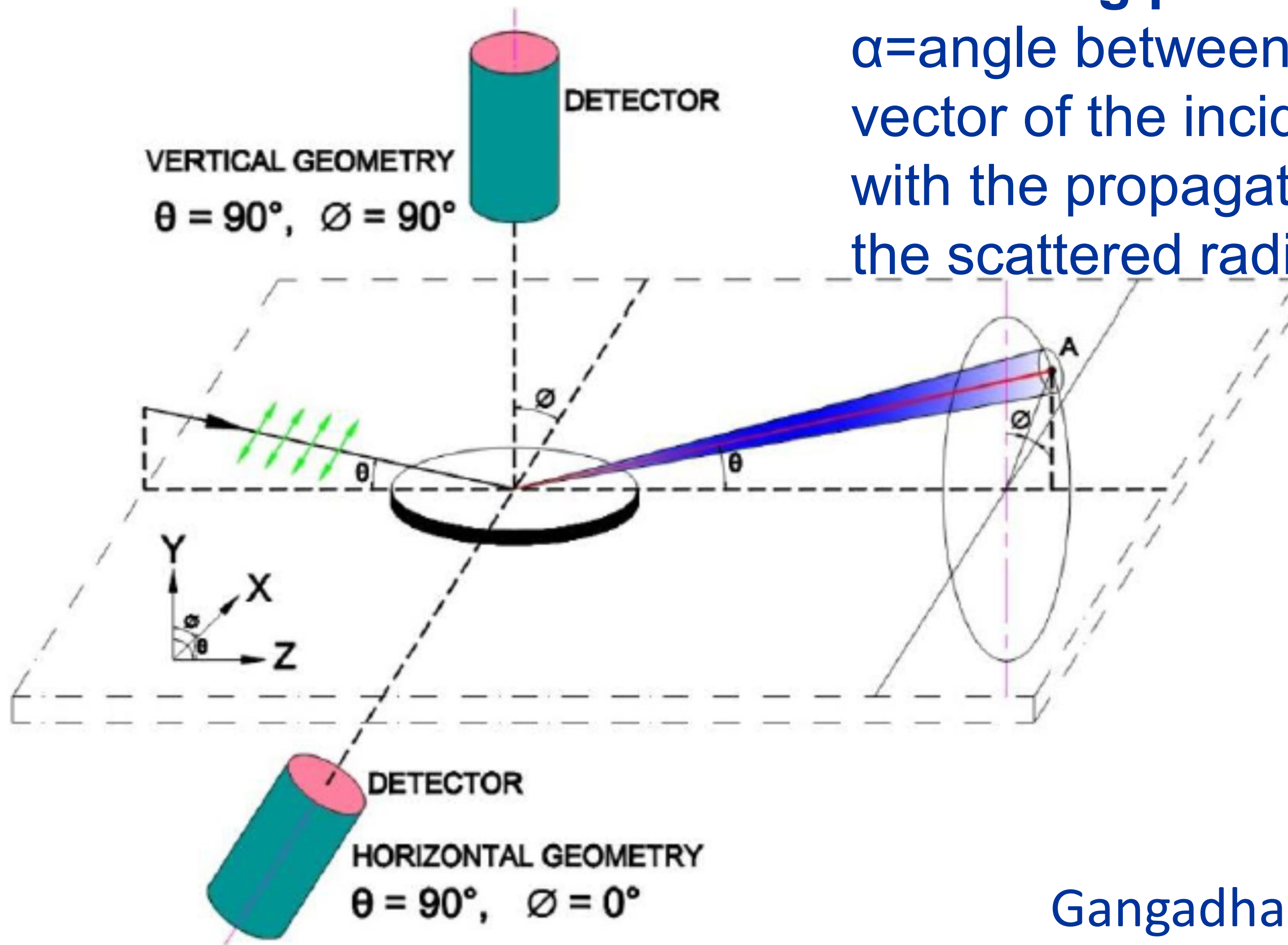


Scattering probabilities: Polarized radiation



Scattering probability ~ $\sin^2\alpha$

α=angle between electric field vector of the incident radiation with the propagation direction of the scattered radiation

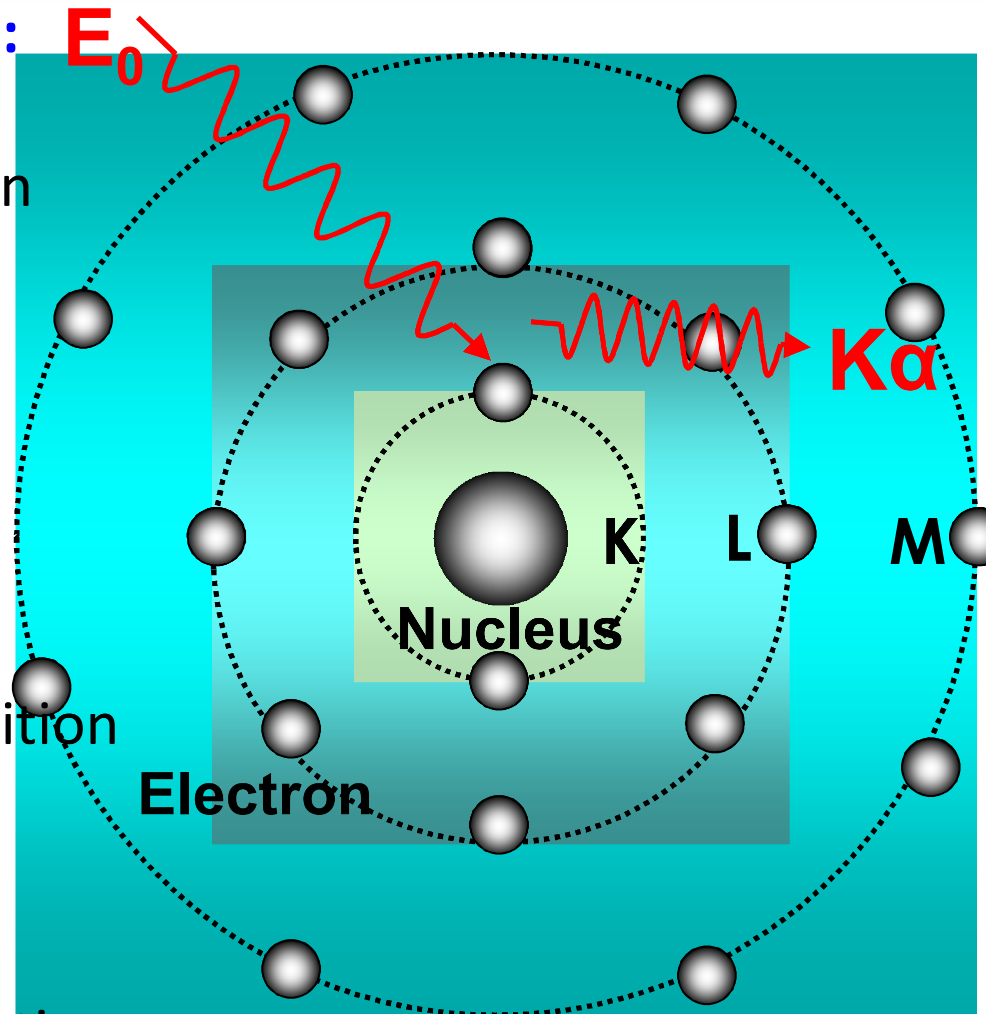
Gangadhar et al. JAAS, 2014

Working principle: X-Ray Fluorescence Analysis

Working principle:

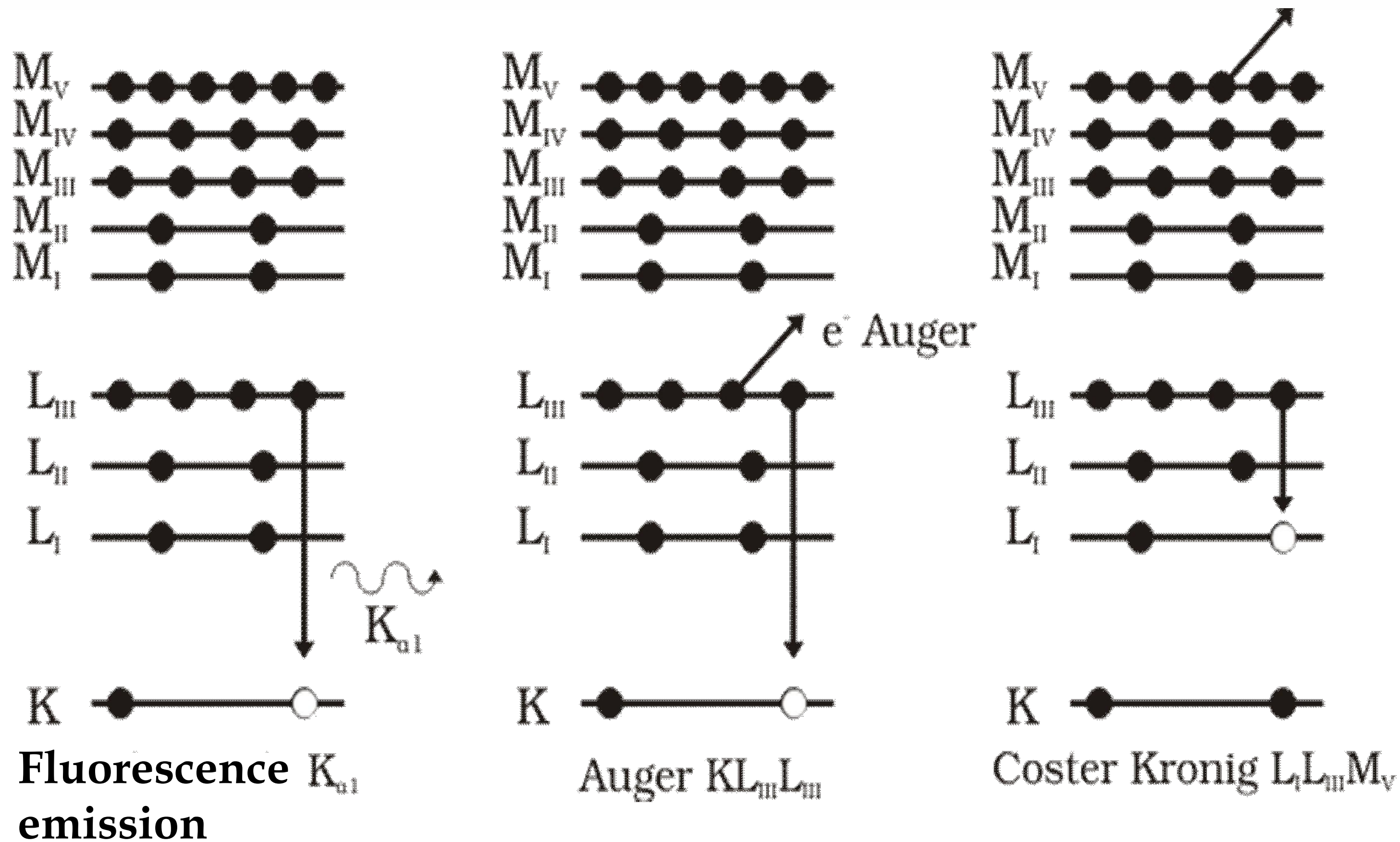
1) Photo-Ionization of **atomic bound electrons** (K, L, M) /**Photoelectric absorption**

2) Electronic transition amd emission of element **'characteristic' fluorescence** radiation



Incident photon Energy E_0 should be adequate to ionize the atomic bound electrons >= Atomic shell Binding energy

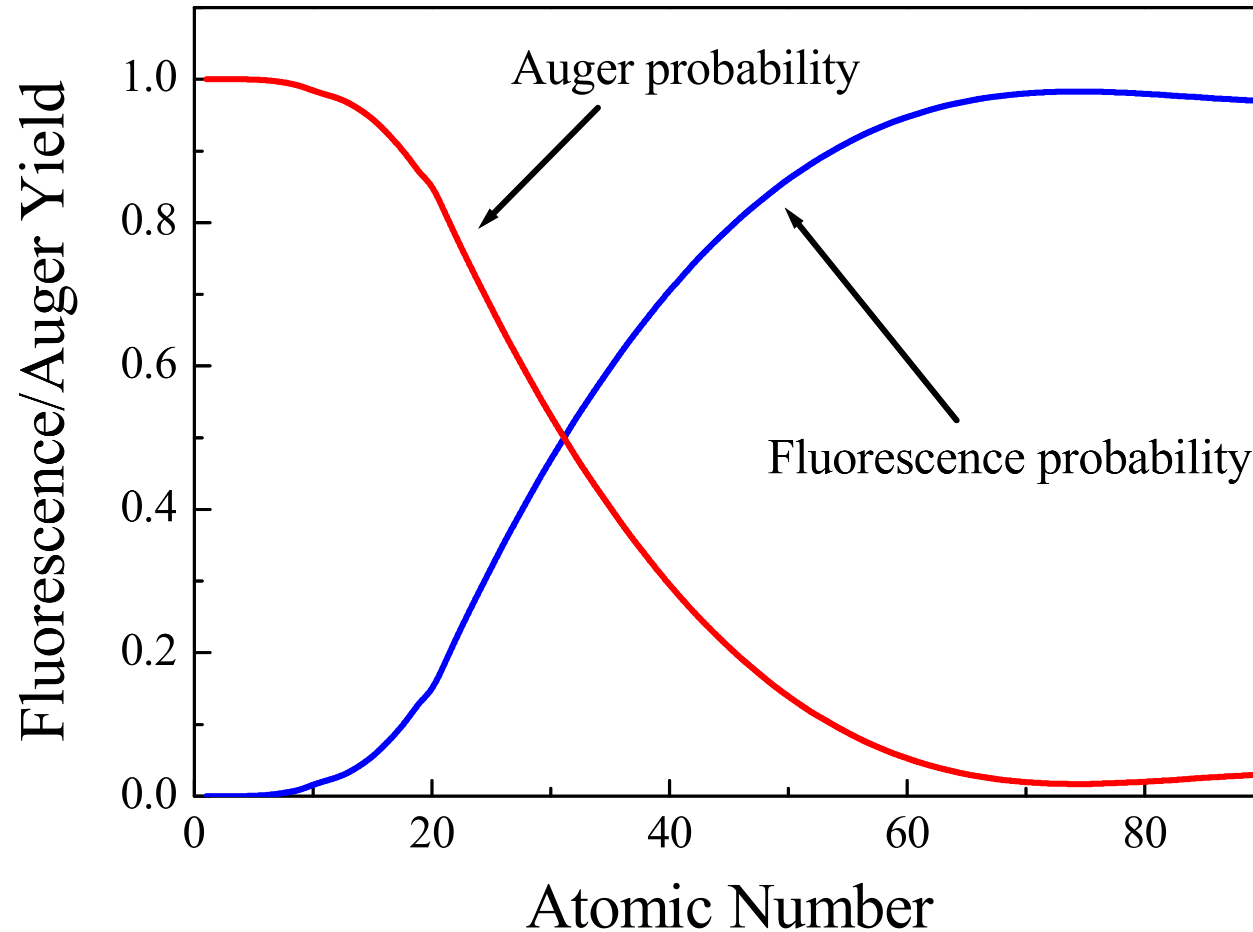
De-excitation of atoms: Competitive processes



ω_K : K-shell fluorescence yield

f_{Lij} : Coster-Cronig (intra-shell) transition probabilities from the *i* to the *j* L subshell

De-excitation: Fluorescence/Auger yield



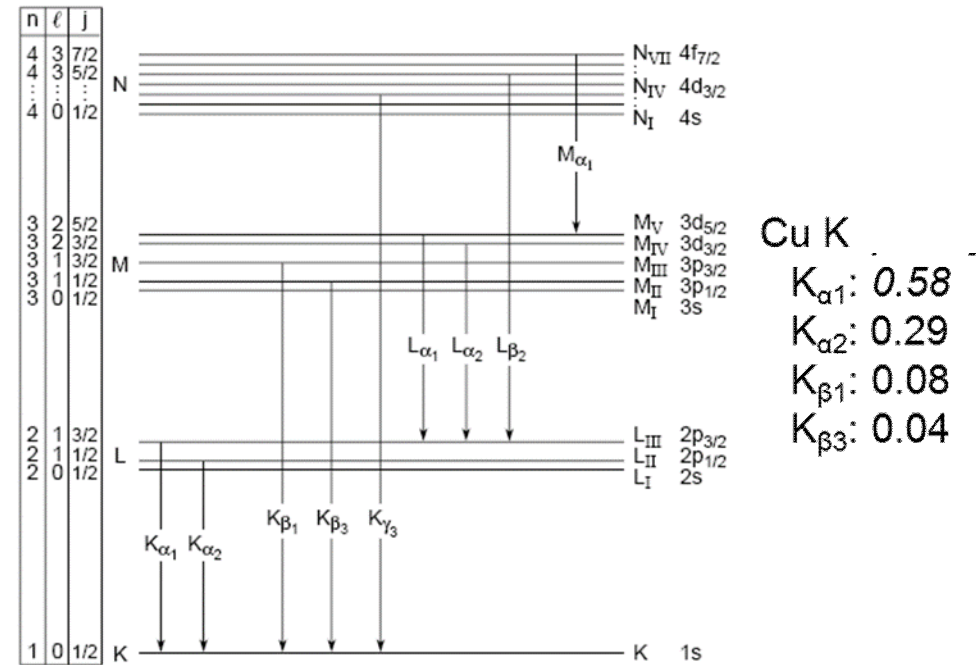
Emission of element ‘characteristic’ x-rays

K - alpha lines: L shell e- transition to fill vacancy in K shell. Most frequent transition, hence most intense peak

K - beta lines: M shell e- transitions to fill vacancy in K shell.

L - alpha lines: M shell e- transition to fill vacancy in L shell.

L - beta lines: N shell e- transition to fill vacancy in L shell.



L_3 to K shell → $E_{K\alpha 1} = U_K - U_{L3}$

Each element has a unique set of emission energies

XRF cross sections: K- Emission

XRF K-shell fluorescence cross section, $\sigma_{KX}(E_o)$

$$\sigma_{KX}(E_o) = \tau_K(E_o) \cdot \omega_K \cdot F_{KX}$$

$\tau_K(E_o)$: K-shell photoelectric cross section (*cm²/g or barns/atom*)

ω_K : K-shell fluorescence yield

f_{KX} : Transition probability for Kα emission

XRF cross sections: L- Emission

Example: Incident energy $E_o > U_{L1}$

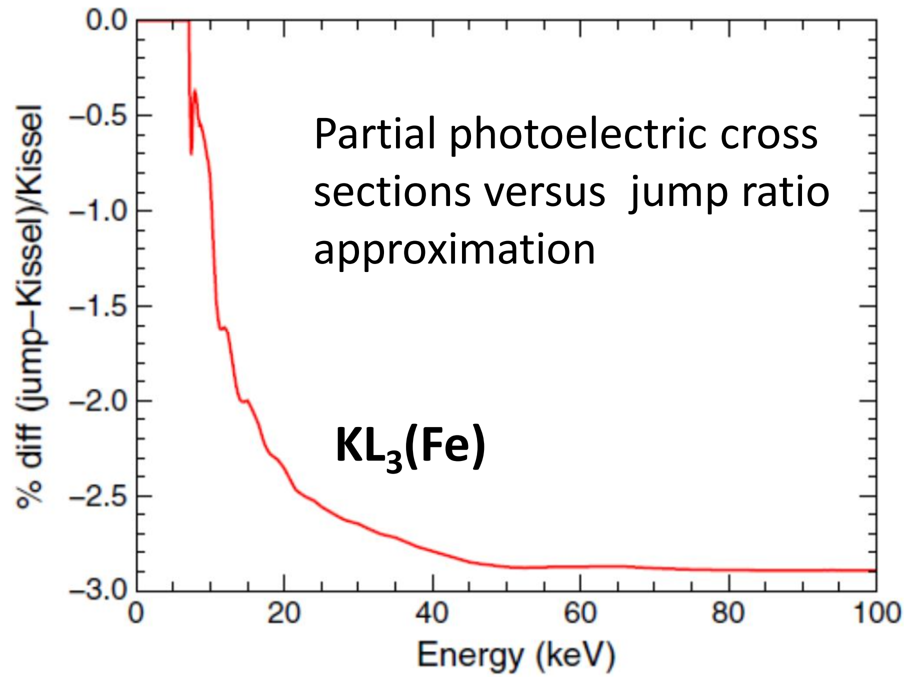
$$\sigma_{L1X}(E_o) = \tau_{L1}(E_o) \cdot \omega_{L1}(Z_i) \cdot f_{L1X}(Z_i)$$

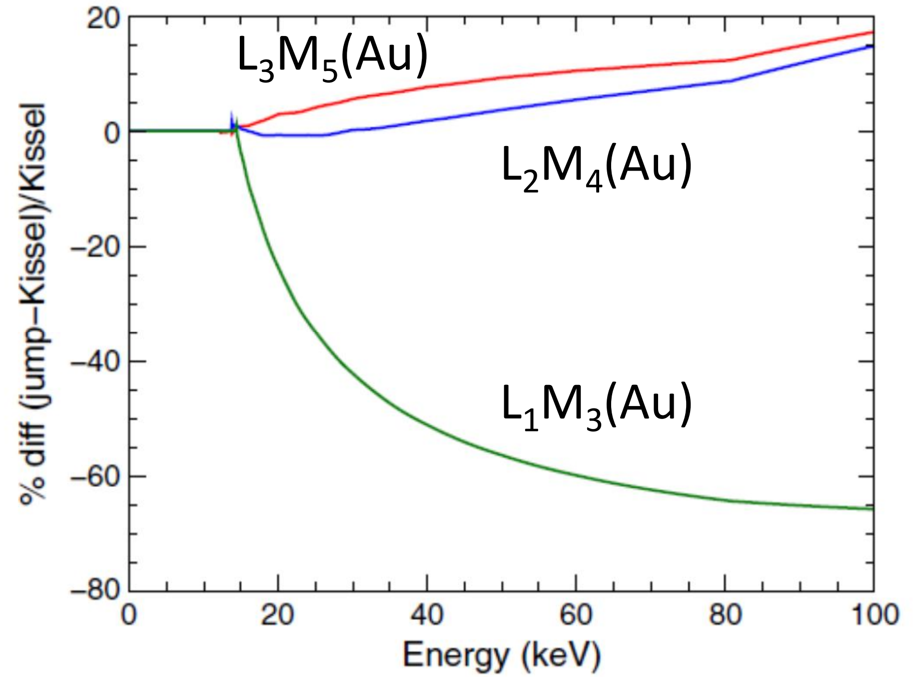
$$\sigma_{L2X}(E_o) = (\tau_{L2} + \tau_{L1} \cdot f_{L12}) \cdot \omega_{L1}(Z_i) \cdot f_{L2X}(Z_i)$$

$$\sigma_{L3X}(E_o) = (\tau_{L3} + \tau_{L2} \cdot f_{L23} \cdot f_{L12} + \tau_{L1} \cdot f_{L13}) \cdot \omega_{L3}(Z_i) \cdot f_{L3X}(Z_i)$$

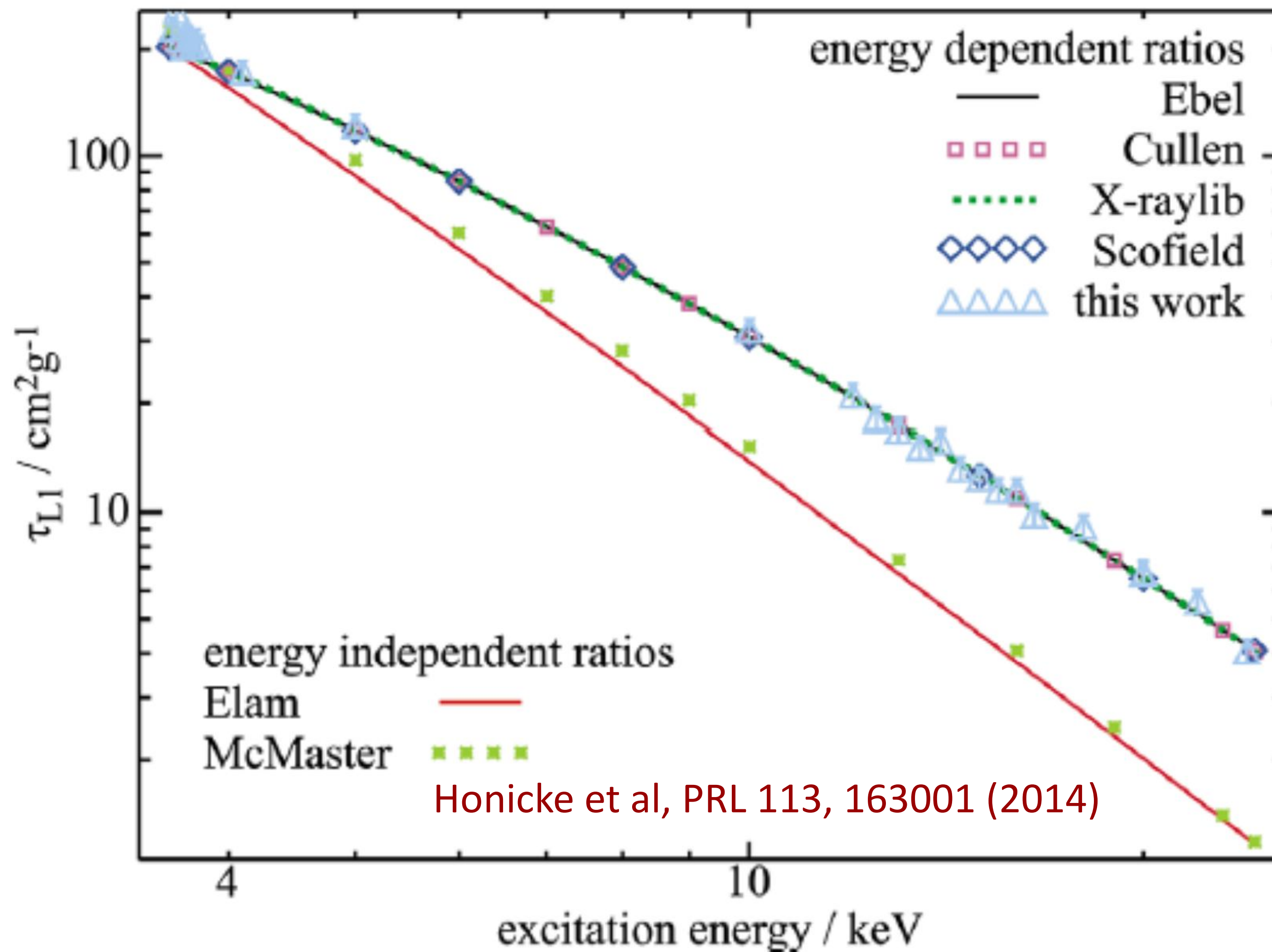
f_{Lij} : Coster-Cronig (intra-shell) transition probabilities from the *i* to the *j* L subshell

XRF cross sections: L- Emission

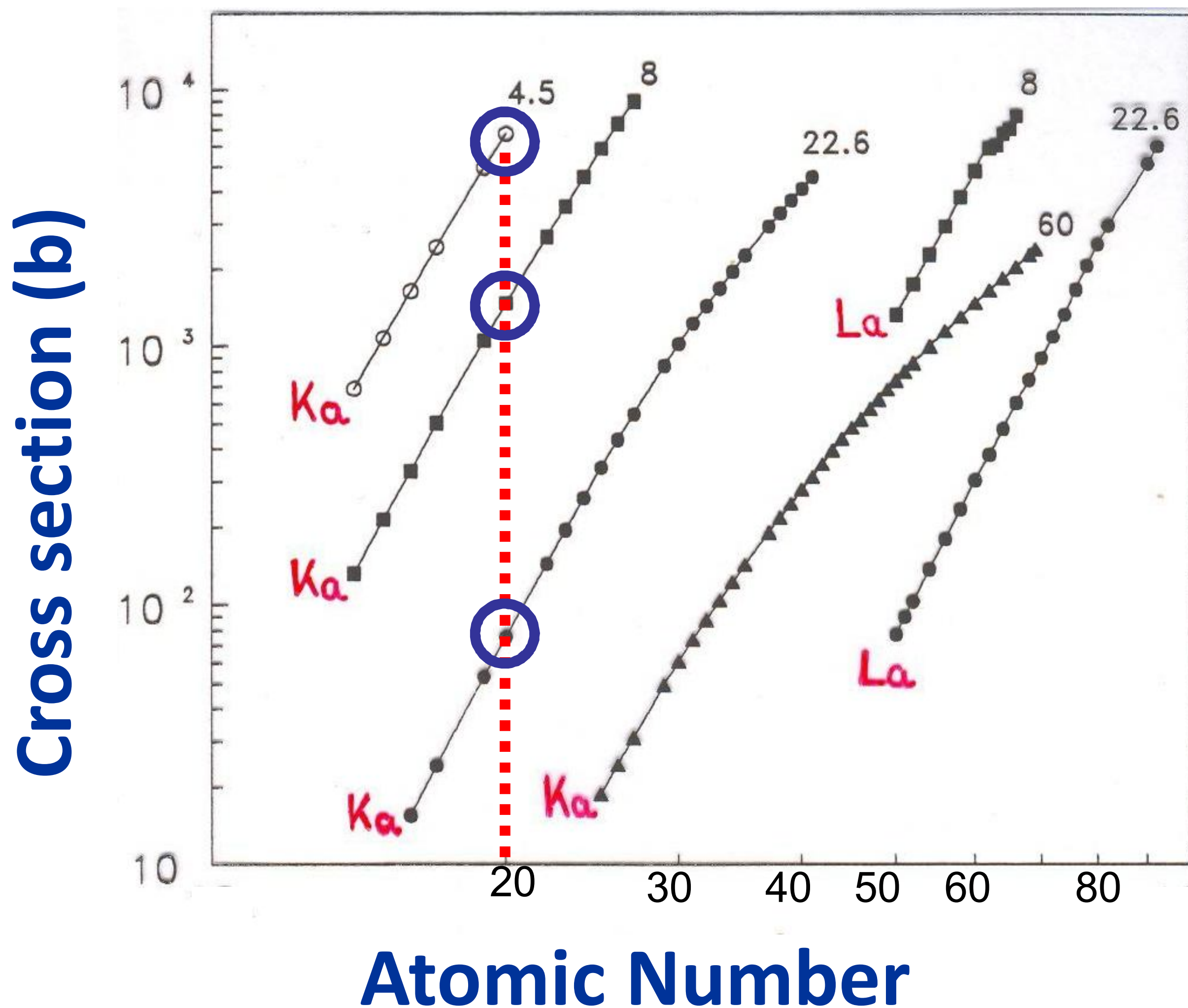




XRF cross sections: L- Emission



Fluorescence Kα, Lα cross sections

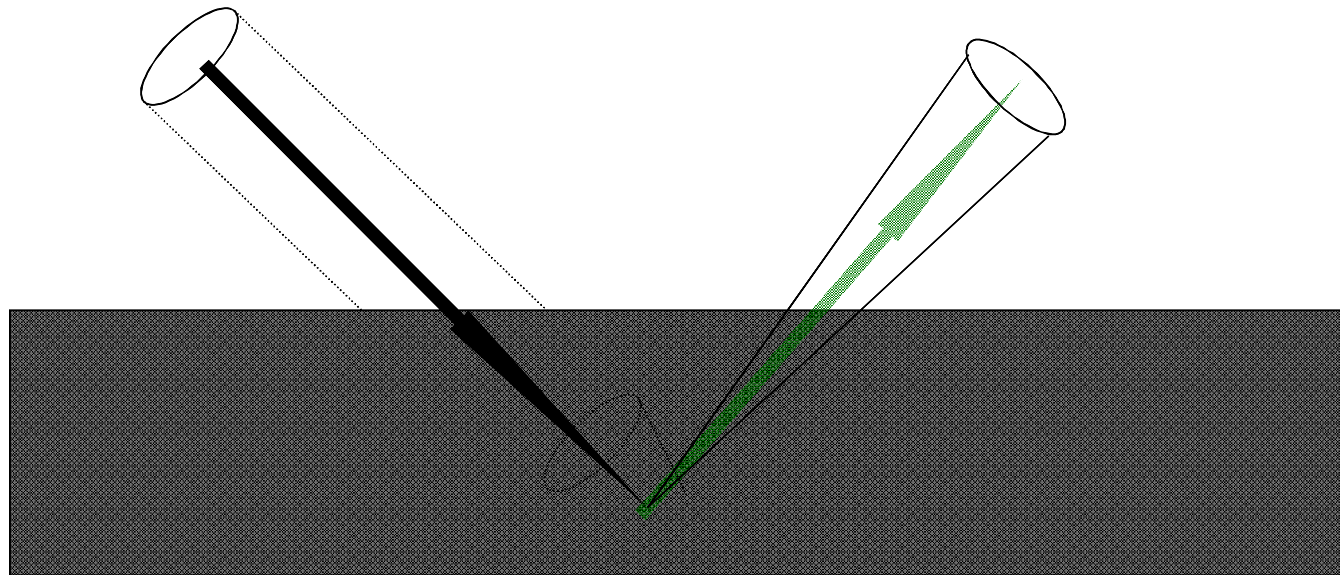


Optimization of the exciting beam energy for maximizing the characteristic X-ray intensity

Primary Fluorescence intensity: Assumptions

- Parallel incident beam
- Infinite surface for sample
- Beam cross section infinite
- Homogenous sample
- Flat surface of the sample

- **D.K.G. de Boer, XRS, 19(1990) 145**
- **M. Mantler, in Handbook of Practical XRFA, Edited by B. Beckhoff et *al*.**



Primary Fluorescence intensity: Assumptions

Spectrochimica Acta, 1955, Vol 7, pp 283 to 306. Pergamon Press Ltd., London

The theoretical derivation of fluorescent X-ray intensities from mixtures*

JACOB SHERMAN
Philadelphia Naval Shipyard, Philadelphia 12, Pennsylvania

(*Received 4 August* 1955)

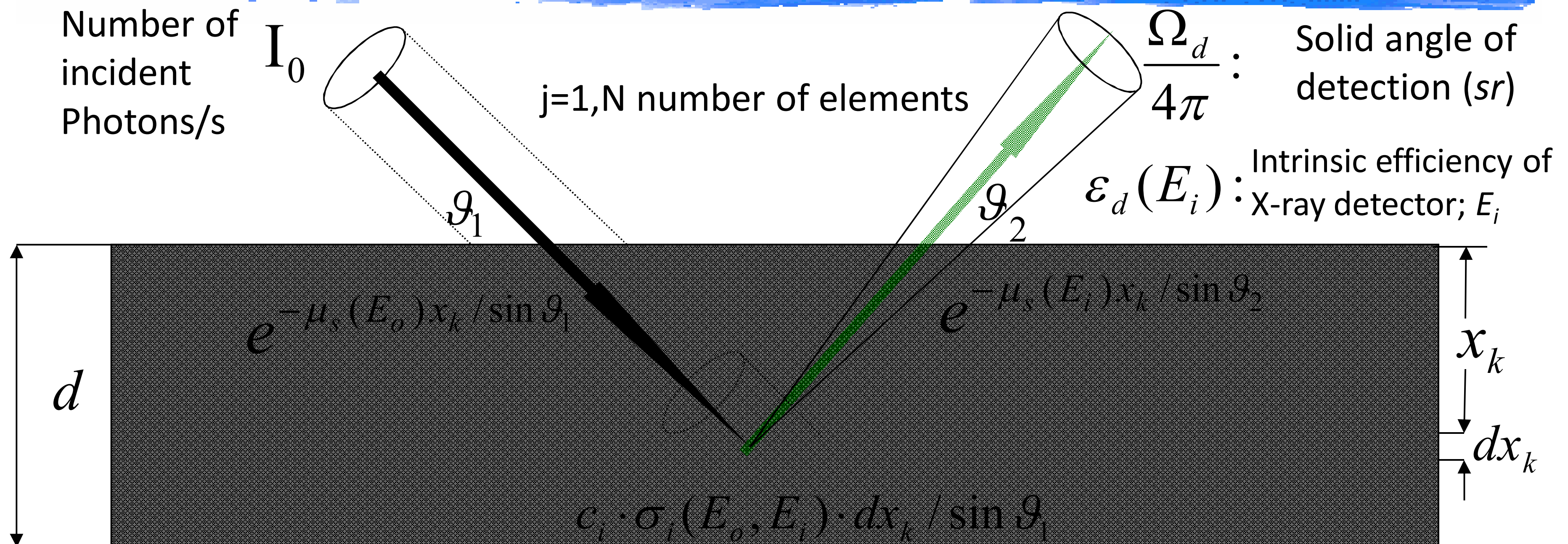
JAPANESE JOURNAL OF APPLIED PHYSICS VOL. 5, NO. 10, OCTOBER, 19

Theoretical Calculation of Fluorescent X-Ray Intensities in Fluorescent X-Ray Spectrochemical Analysis.

Toshio SHIRAIWA and Nobukatsu FUJINO
Physics Section, Central Research Laboratories,
Sumitomo Metal Industries, Amagasaki, Hyogo.

(Received April 15, 1966)

Primary Fluorescence intensity



(Concentration of *i* element) X (Fluorescence cross section; cm^2/g) X (areal density; g/cm^2)

$\mu_s(E_o)$: Sample mass attenuation coefficient for energy Eo $\equiv \sum_{j=1,N} c_j \mu_j(E_o)$

$$dI_i(E_i) = I_o \cdot e^{-\mu_s(E_o)\cdot x_k/\sin\vartheta_1} c_i \cdot \sigma_i(E_o, E_i) \cdot \frac{dx_k}{\sin\vartheta_1} \cdot e^{-\mu_s(E_i)\cdot x_k/\sin\vartheta_2} \frac{\Omega_d}{4\cdot\pi} \cdot \varepsilon_d(E_i)$$

$$\mu_T(E_o, E)_i \equiv \mu_s(E_o)/\sin\vartheta_1 + \mu_s(E_i)/\sin\vartheta_2$$

Primary Fluorescence intensity: Calibration

$$I_i(E_i) = \quad c_i \cdot \frac{1-e^{-\mu_T(E_o,E_i)\cdot d}}{\mu_T(E_o,E_i)} \cdot$$

Sensitivity $S_i(E_o, E_i)$

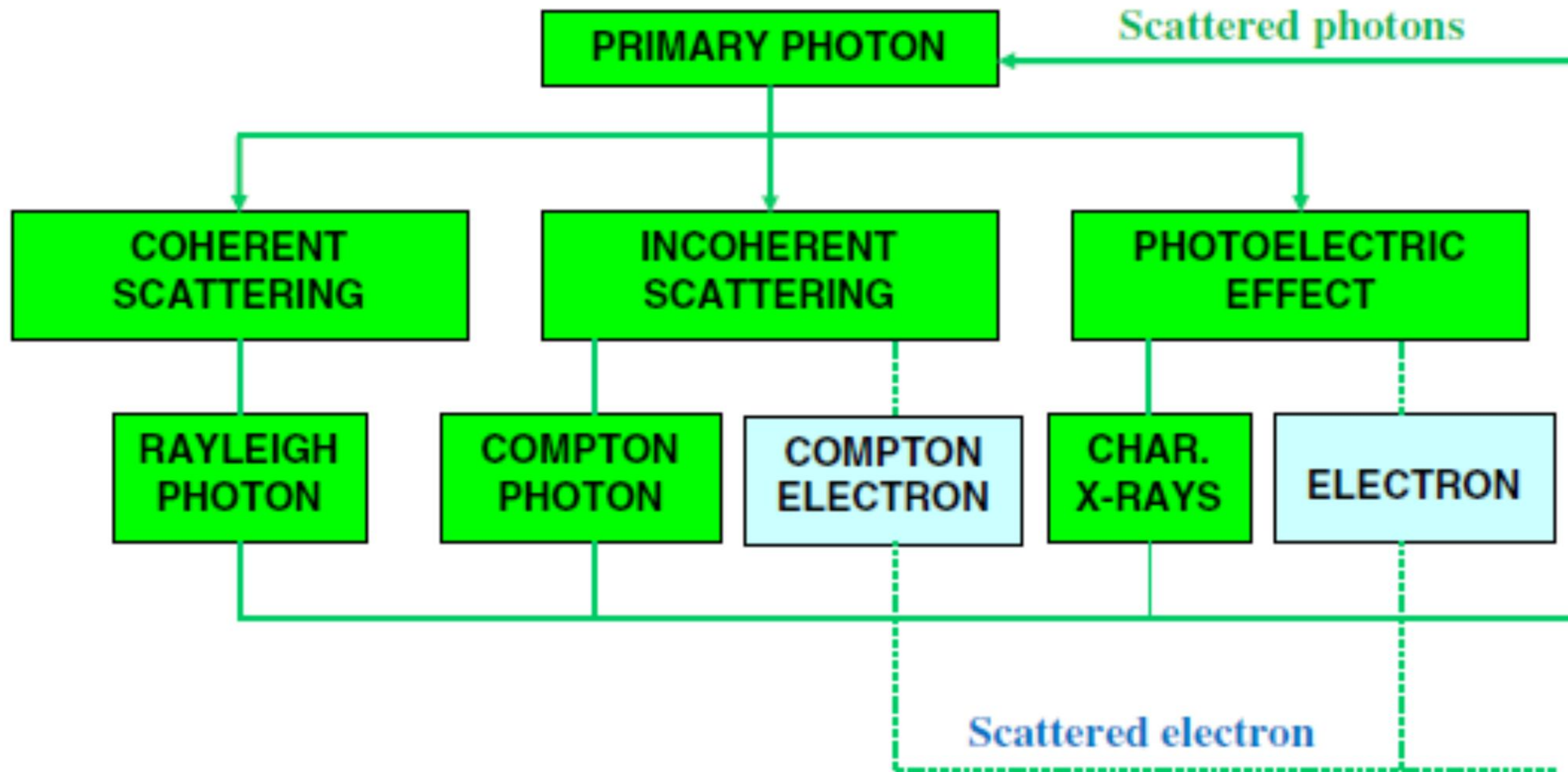
$\mu_T(E_o, E_i)\cdot d >> 1 \quad I_i(E_i) = S_i(E_o,E_i)\cdot c_i \cdot \frac{1}{\mu_T(E_o,E_i)}$ Thick target approximation

$\mu_T(E_o, E_i)\cdot d << 1 \quad I_i(E_i) = S_i(E_o,E_i)\cdot c_i \cdot d$ Thin target

Different approaches are followed depending on how well the set-up geometry and incident beam intensity are characterized:

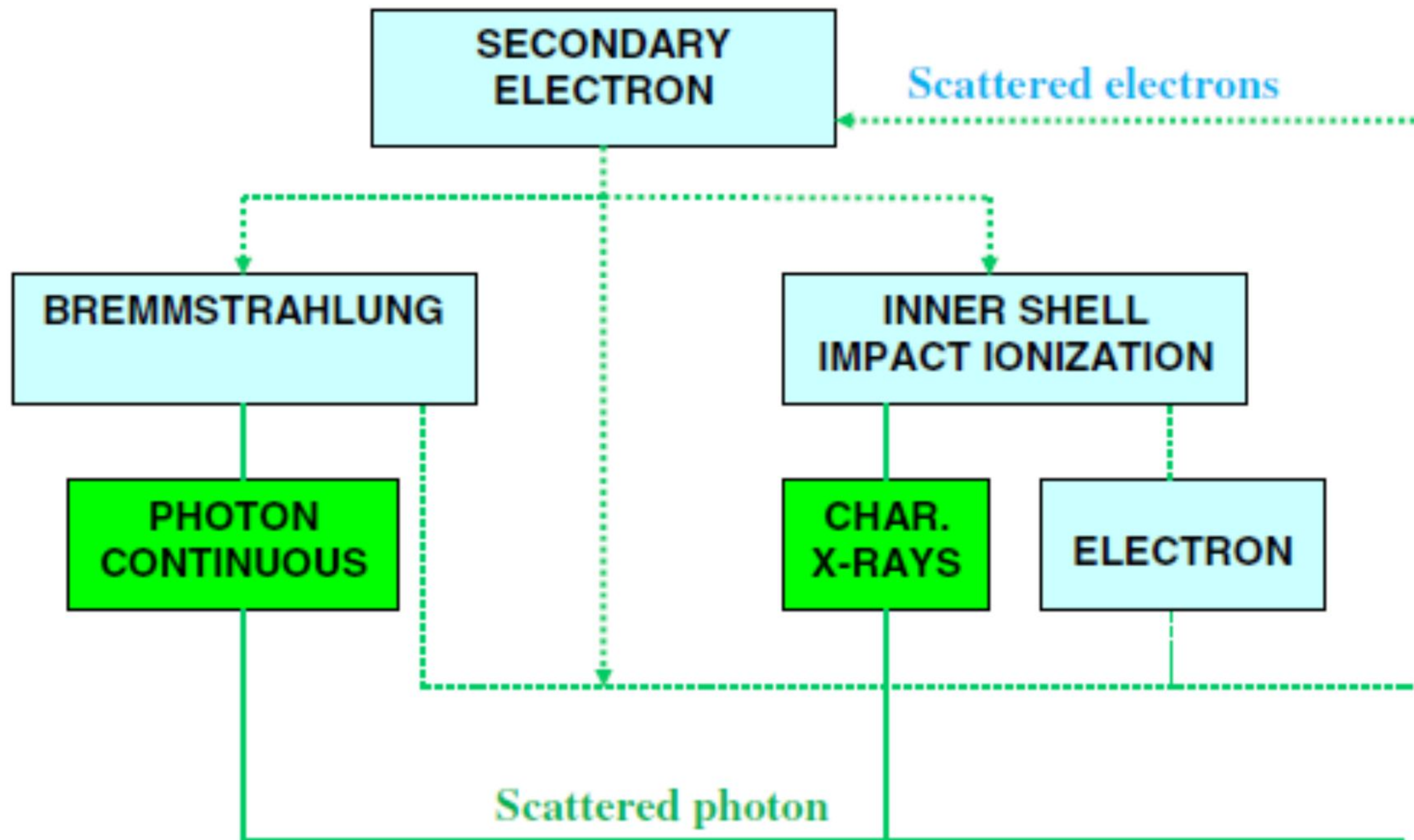
- **Sensitivity calibration:** certified pure element/compound targets
- **Solid angle calibration:** Normalized beam intensity, detector efficiency known, well certified pure element/compound targets
- **Standard-less XRFA:** Calibrated apertures, distances, detector response function versus energy, incident beam intensity

Indirect Enhancement Processes in Fluorescence Emission



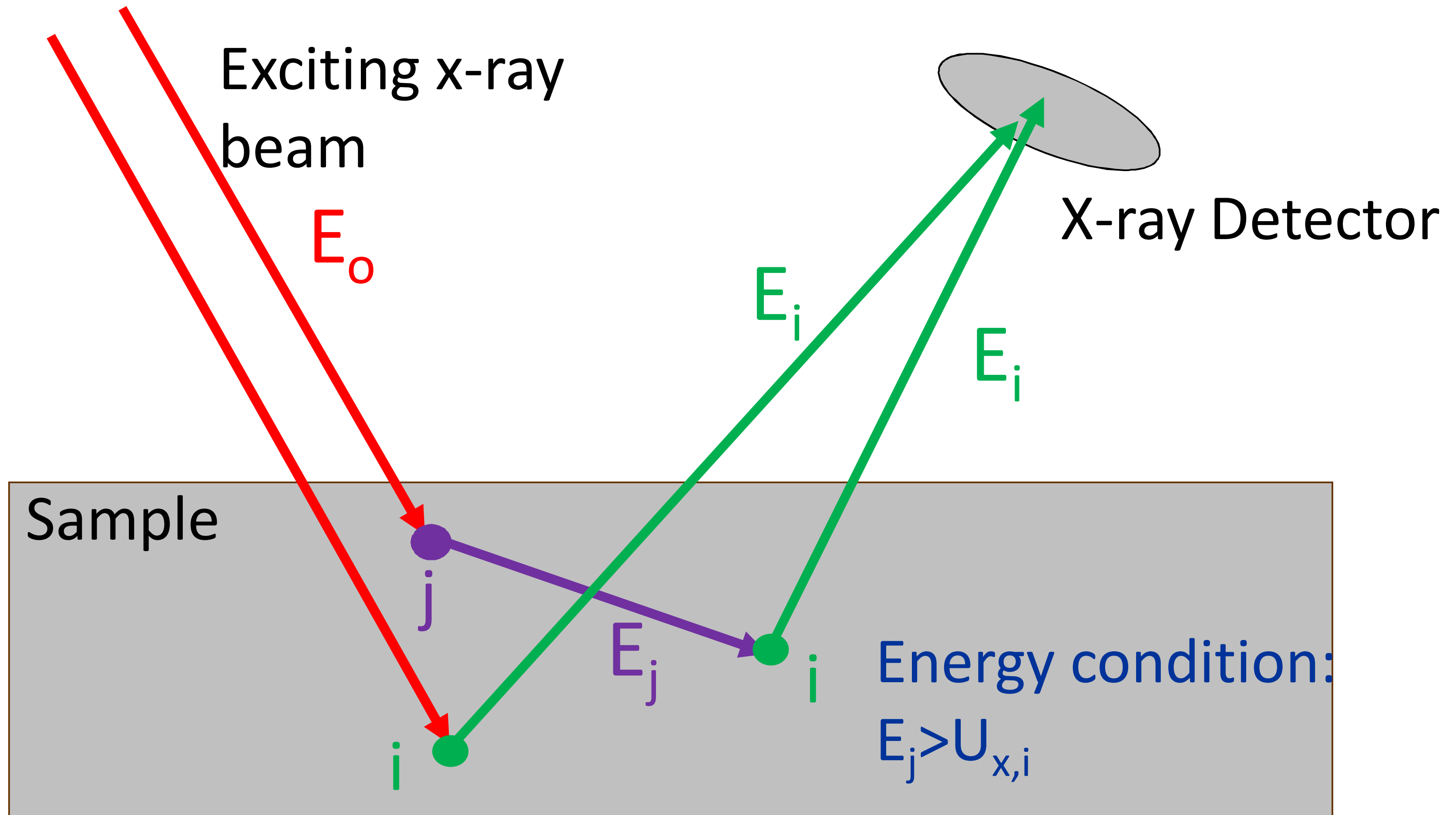
J. Fernandez et *al*., X-Ray Spectrom. 2013, 42, 189–196

Indirect Enhancement Processes in Fluorescence Emission



J. Fernandez et *al*., X-Ray Spectrom. 2013, 42, 189–196

Secondary Fluorescence Enhancement



Element ***j*** characteristic x-ray(s) can excite element ***i*** characteristic x-rays within the sample volume

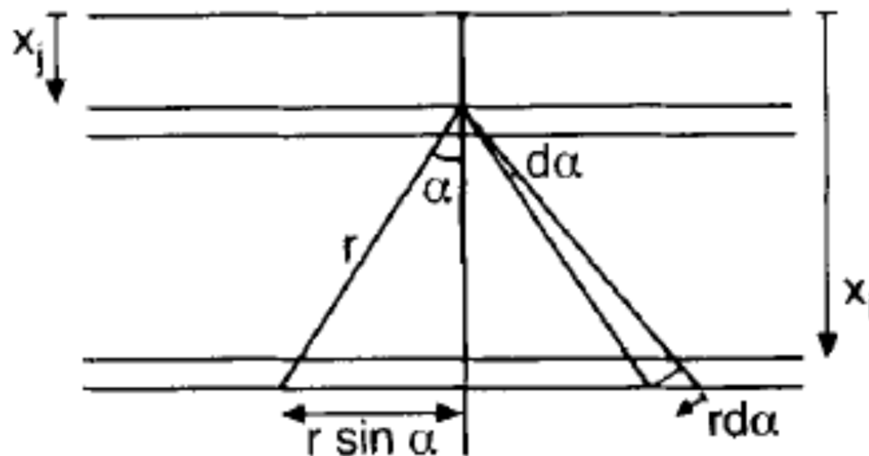
Secondary enhancement calculation: Example

E_0 E_i

$e^{-\mu_s(E_o)\cdot x_j/\sin\psi_1}$ $\quad C_j\cdot\sigma_j(E_o,E_j)\cdot dx_j/\sin\psi_1$ $\quad e^{-\mu_s(E_i)\cdot x_i/\sin\psi_2}$

d $\quad \alpha$ $\quad e^{-\mu_s(E_j)\cdot\left|(x_i-x_j)/\cos\alpha\right|}$ $\quad x_j$ $\quad x_i$ $\quad dx_j$ $\quad dx_i$

$C_i\cdot\sigma_i(E_j,E_i)\cdot dx_i/\cos a$

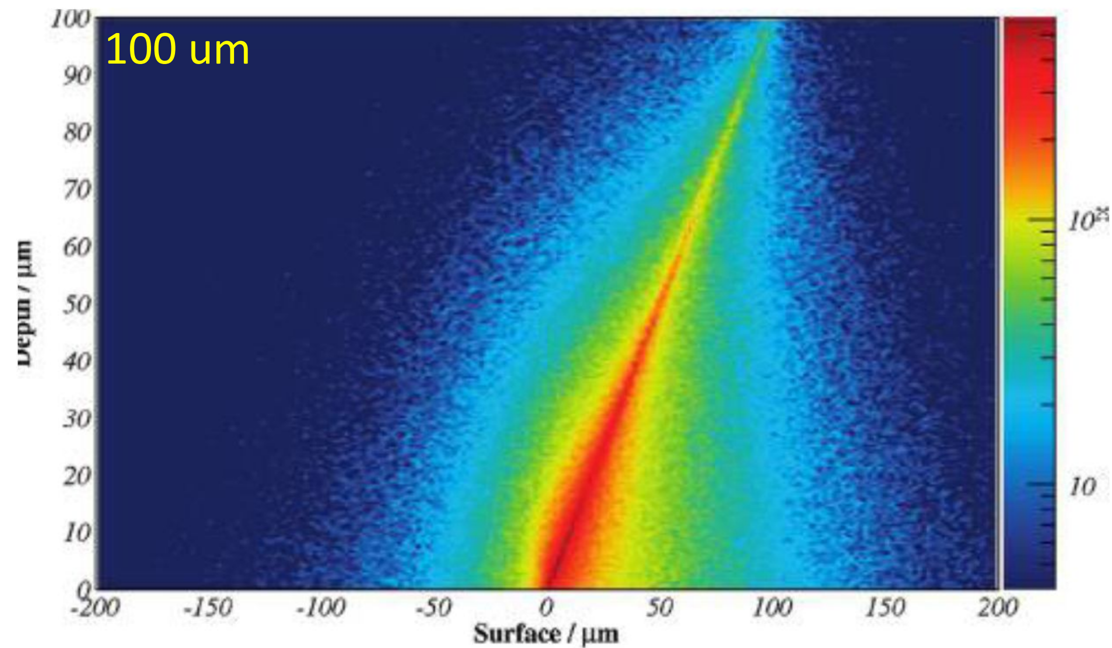


Number of photons emitted per unit area of layer dx_j that reach layer dx_i within the cones with aperture angles *α, α+dα*

$$(2\cdot\pi\cdot r\cdot\sin\alpha)\cdot(r\cdot d\alpha)\times\frac{1}{4\cdot\pi\cdot r^2}=$$

$$\frac{1}{2}\cdot\sin\alpha\cdot d\alpha$$

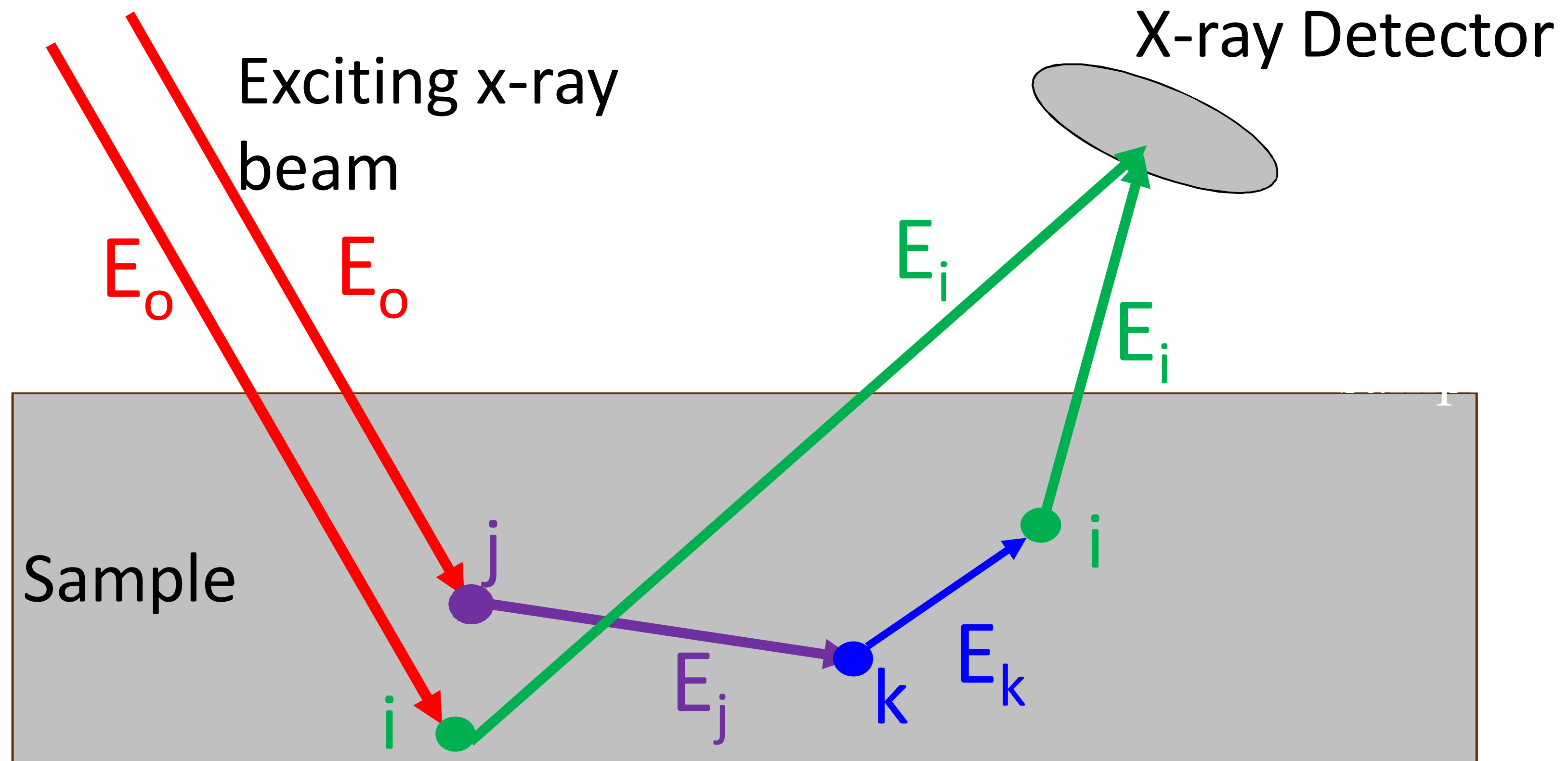
Topology of secondary fluorescence



13 keV, excitation, SiO_2 matrix, 5% Cu, 5% Fe

Sokaras et al, Anal. Chem. 2009, 81, 4946

Tertiary Fluorescence Enhancement



The element ***j*** characteristic x-ray(s) can excite element's ***k*** characteristic x-ray(s) which consequently can also excite element's ***i*** characteristic x-rays

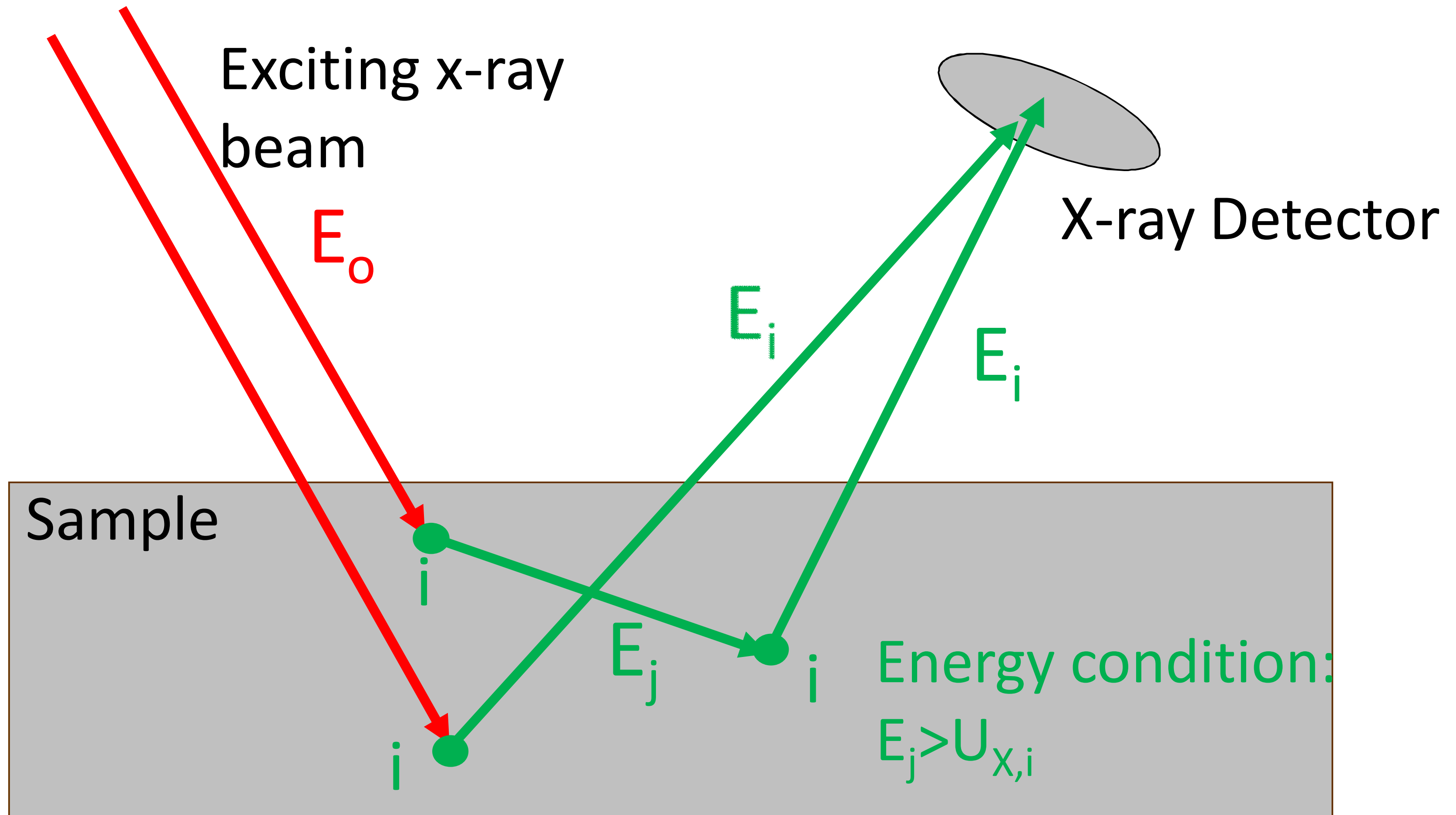
Energy conditions: $E_j > U_{x,k}$ and $E_k > U_{x,i}$

SF Enhancement in Poly-Energetic excitation

Type of Sample	Secondary Fluorescence Mechanism	Am-241 (59.6 keV) Source*	Filtered Rh-tube excitation*
Ag: 92.5% Cu: 7.5 %	Ag-K to Cu	1.57	0.29
Au: 88.3 % Ag: 8.5 % Cu: 3.1 %	(Ag-K+Au-L) to Cu	0.82	0.55
	Ag-K to Au	6.6e-2	1.4e-2
Cu: 80 % Pb: 10 % Sn: 10 %	(Sn-K + Pb-L) to Cu	0.22	7.8e-2
	Sn-K to Pb	0.11	1.6e-2

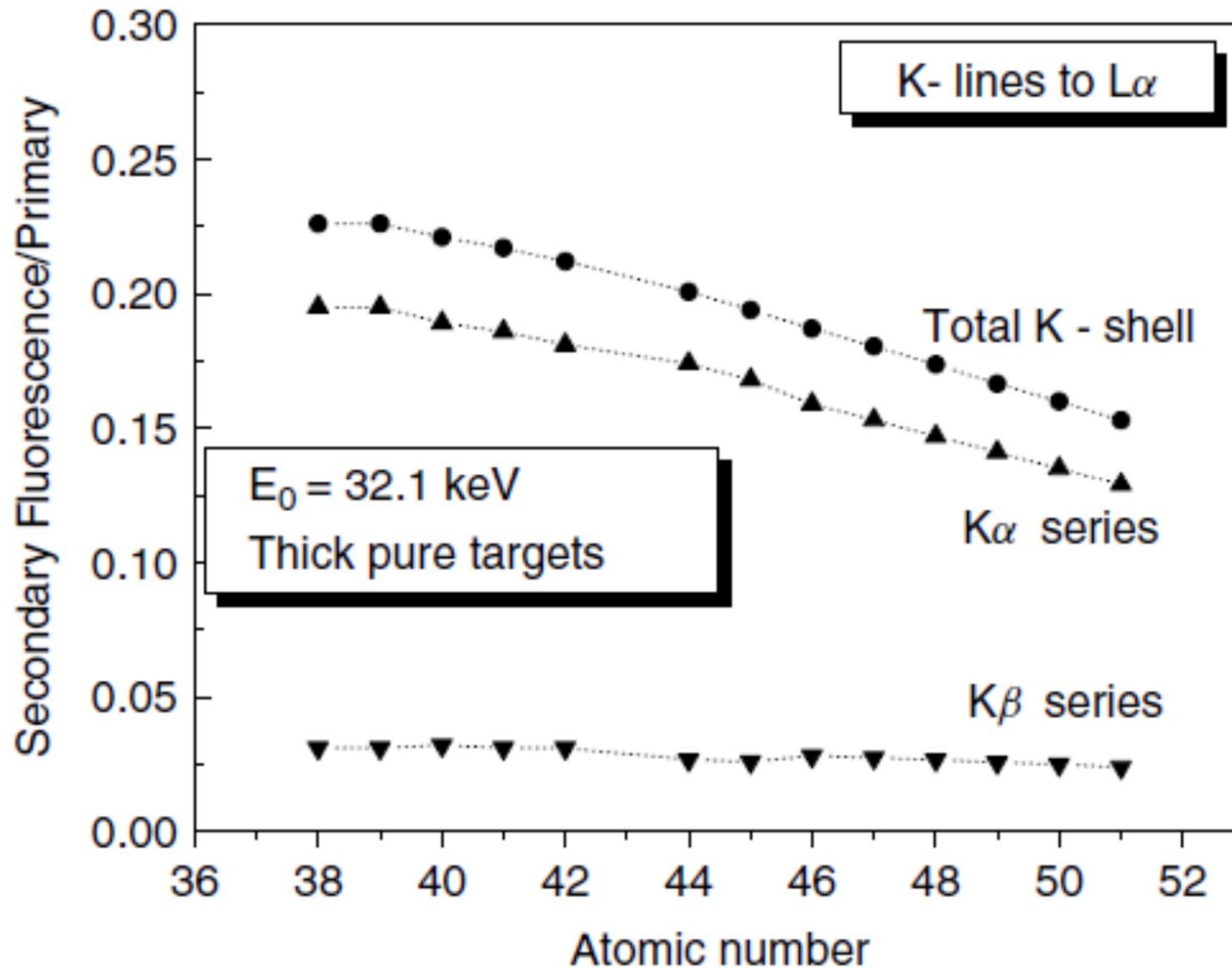
* Including ternary contribution

Self-element SF Enhancement (special case)



Element ***i*** characteristic x-ray(s) can excite different series of characteristic X-rays of the same element ***i*** within the sample volume; for example K to L, L to M lines

Self-element SF Enhancement (special case)



A.G. Karydas et al., X-Ray Spectrom. 2005; 34: 426–431

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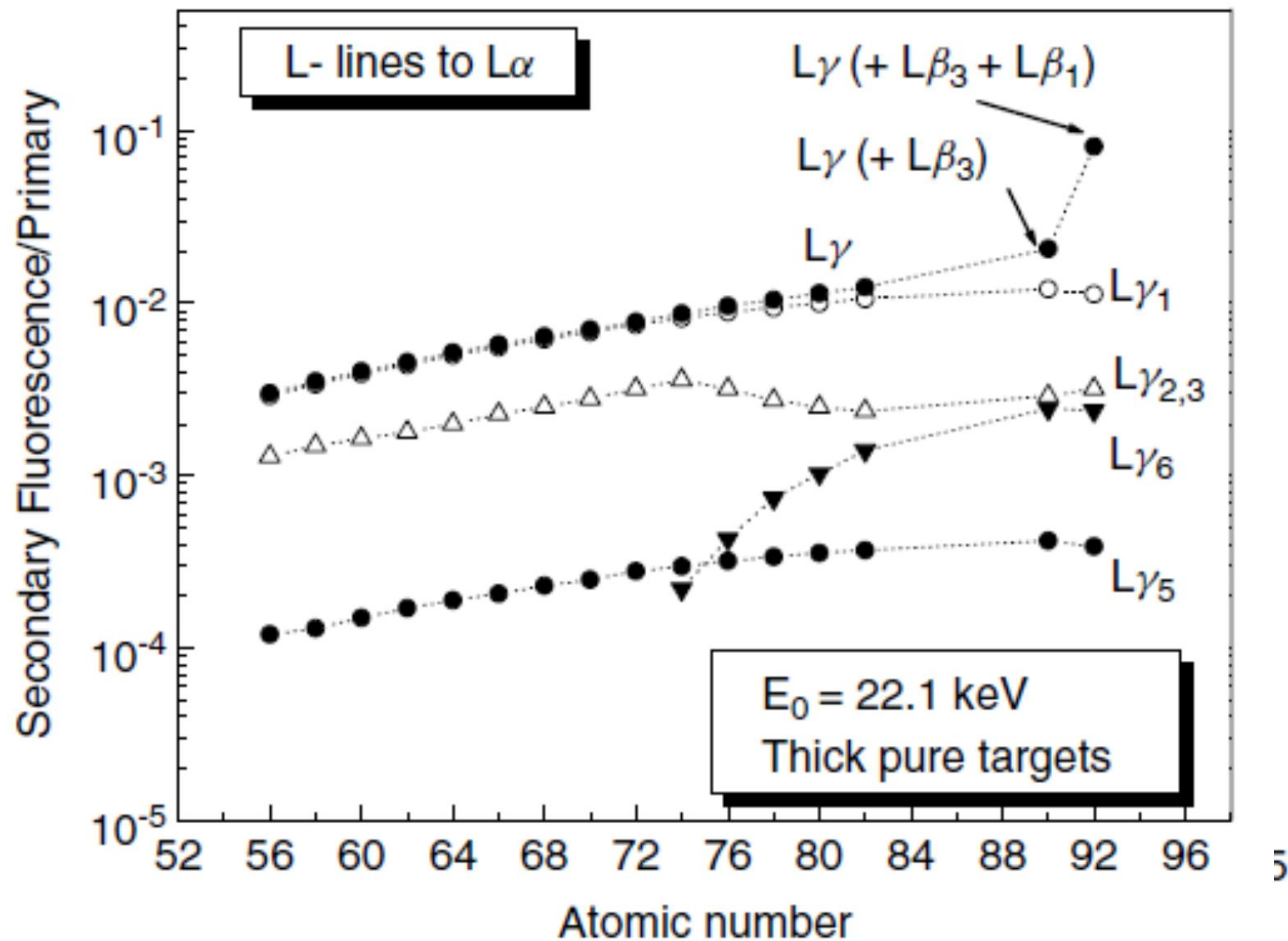

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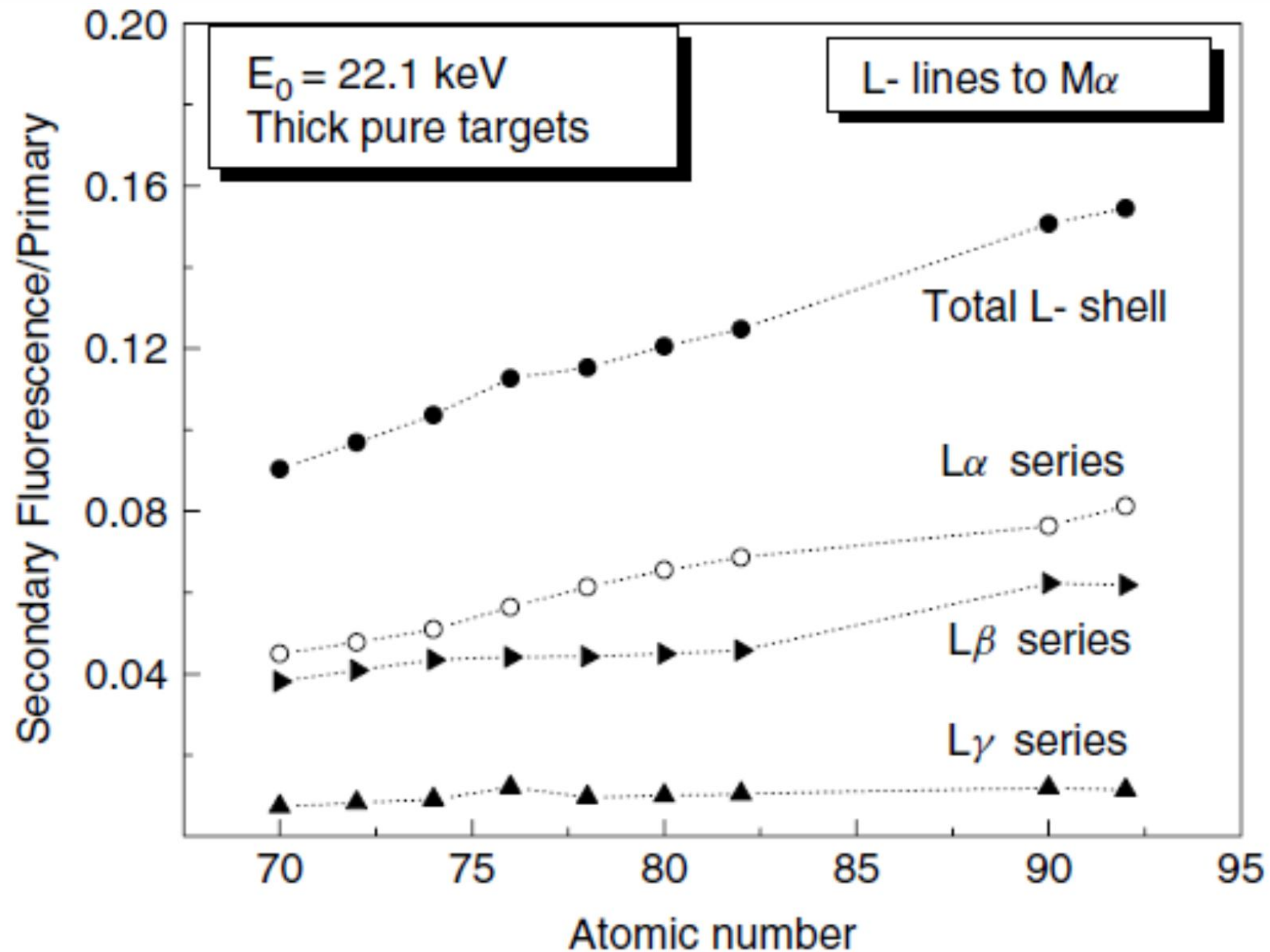
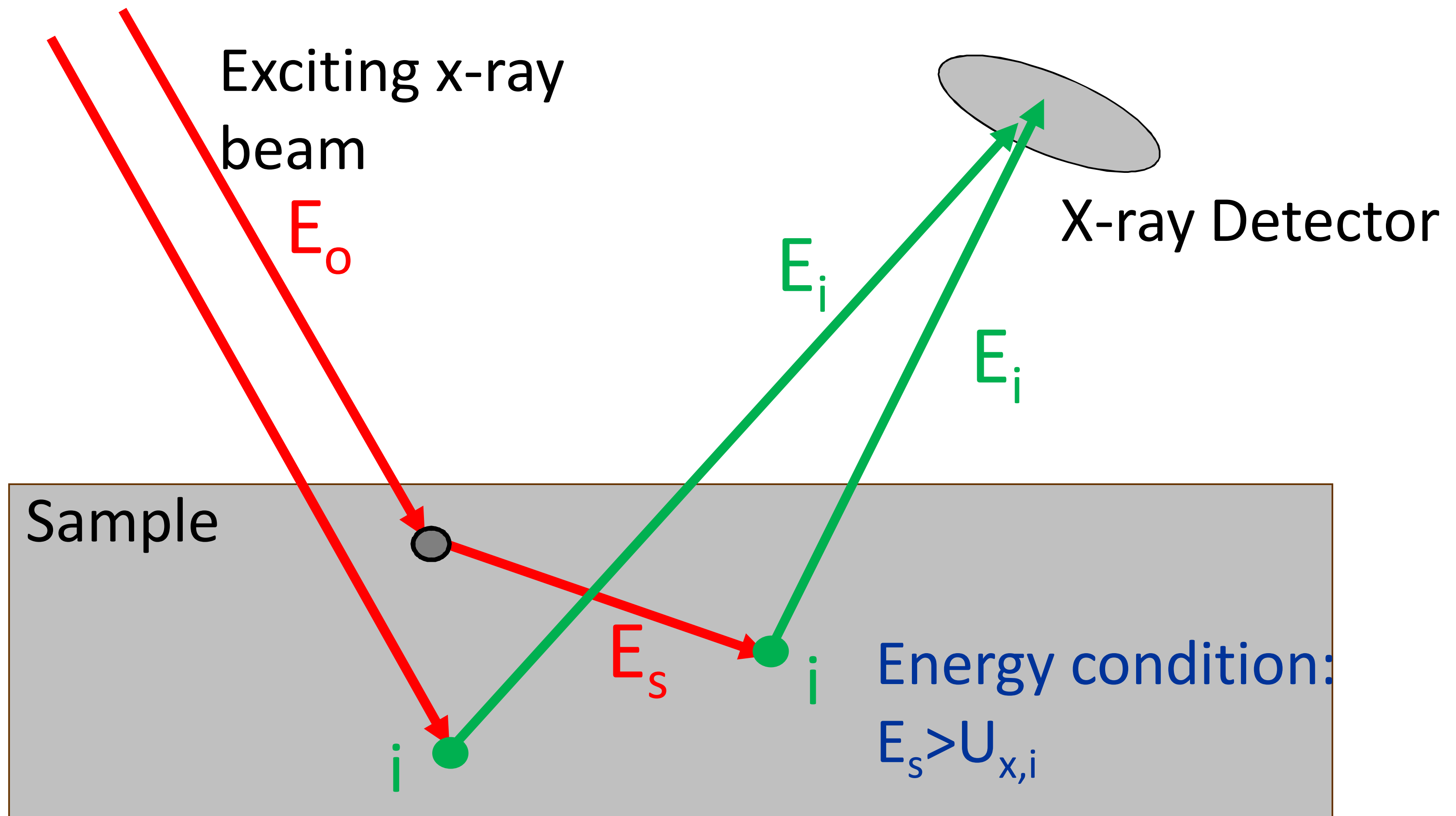


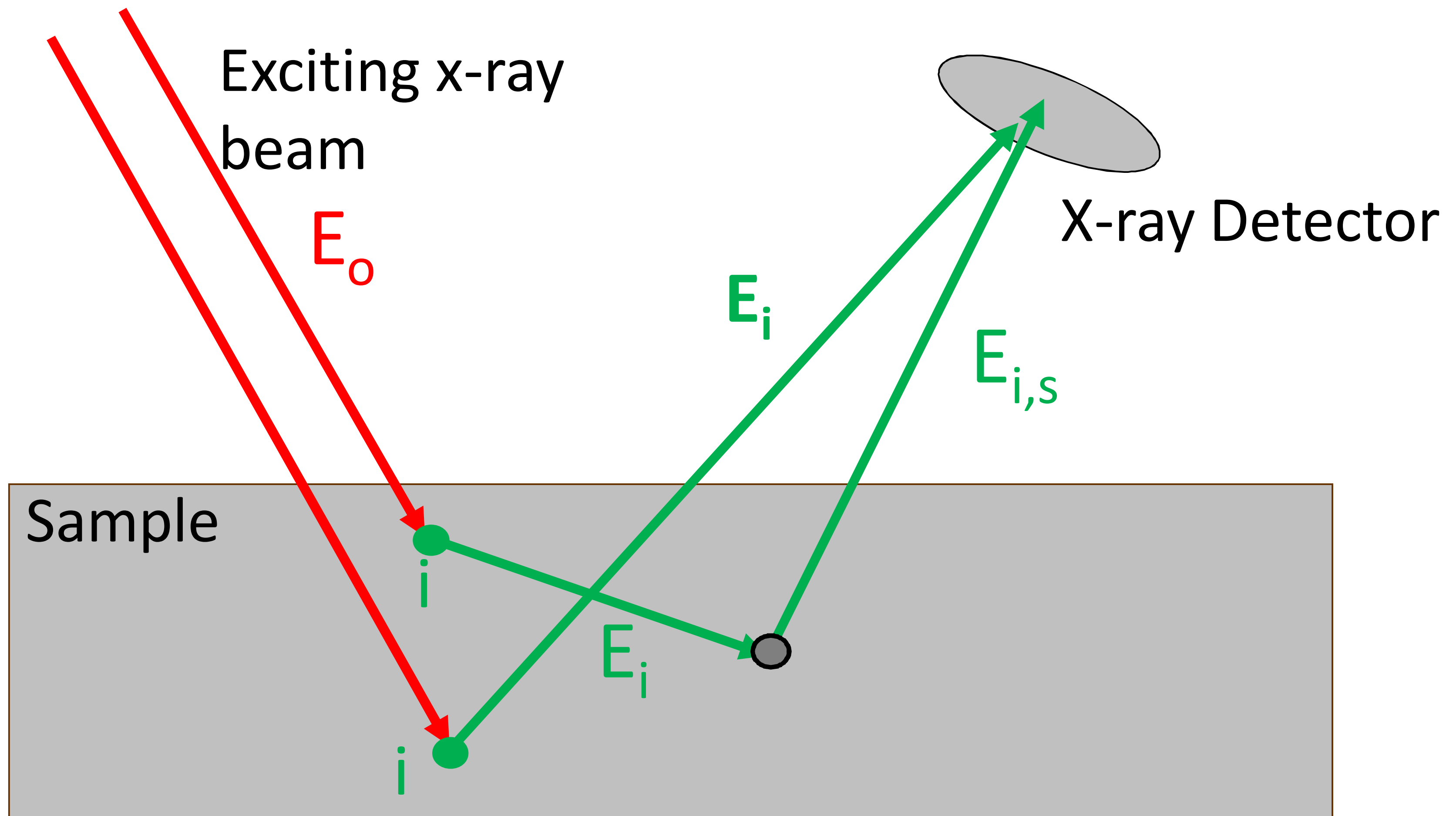
A.G. Karydas et al., X-Ray Spectrom. 2005; 34: 426–431

Secondary Scattering Enhancement (Beam)



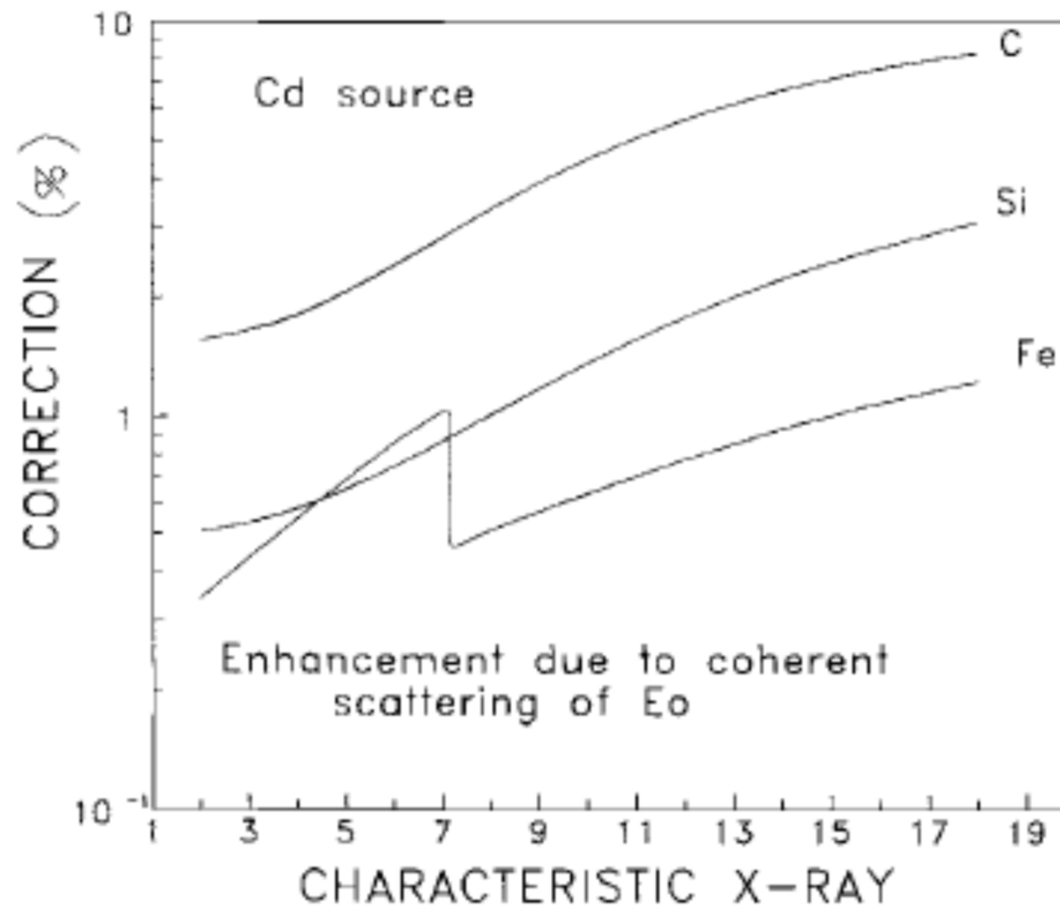
Incident beam after encountering elastic/inelastic scattering at one produces photoionization of an element *i* in another sample position volume

Secondary Scattering Enhancement (Fluo)



Element a characteristic x-ray after elastic/inelastic scattering within the sample volume are directed to the detector

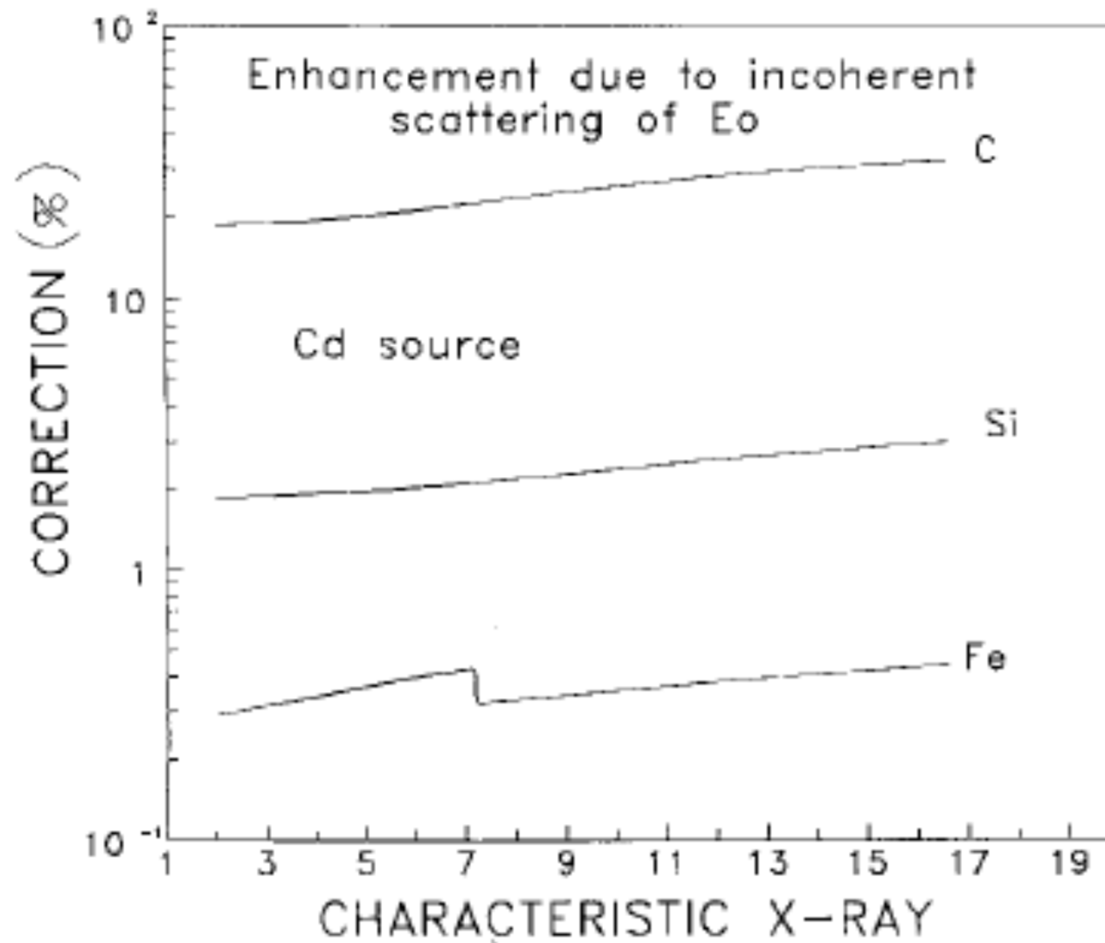
Secondary Enhancement due to Scattering



Karydas, Paradellis, X-Ray Spectrom. 1993; 22: 208

Tirao, Stutz, X-Ray Spectrom. 2003; 32: 13–24

Secondary Enhancement due to Scattering



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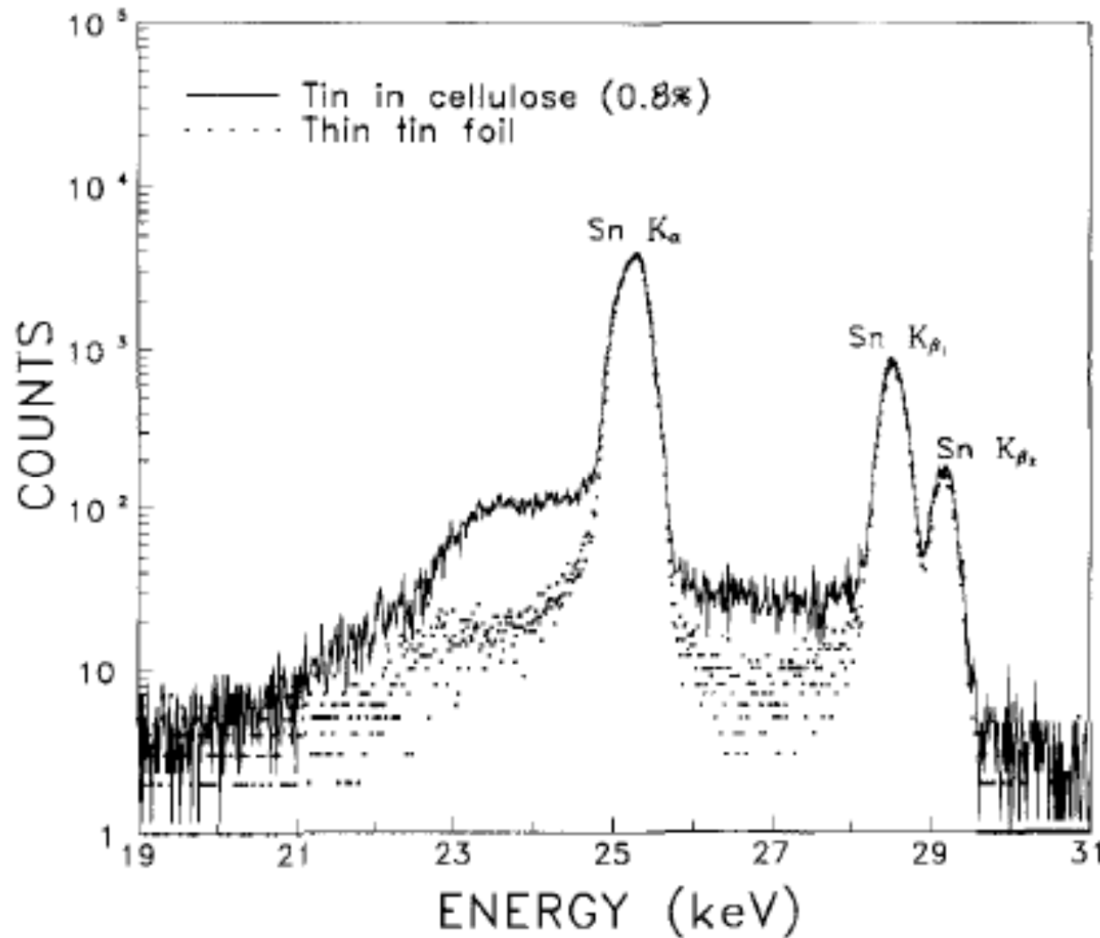
Secondary Enhancement due to Scattering

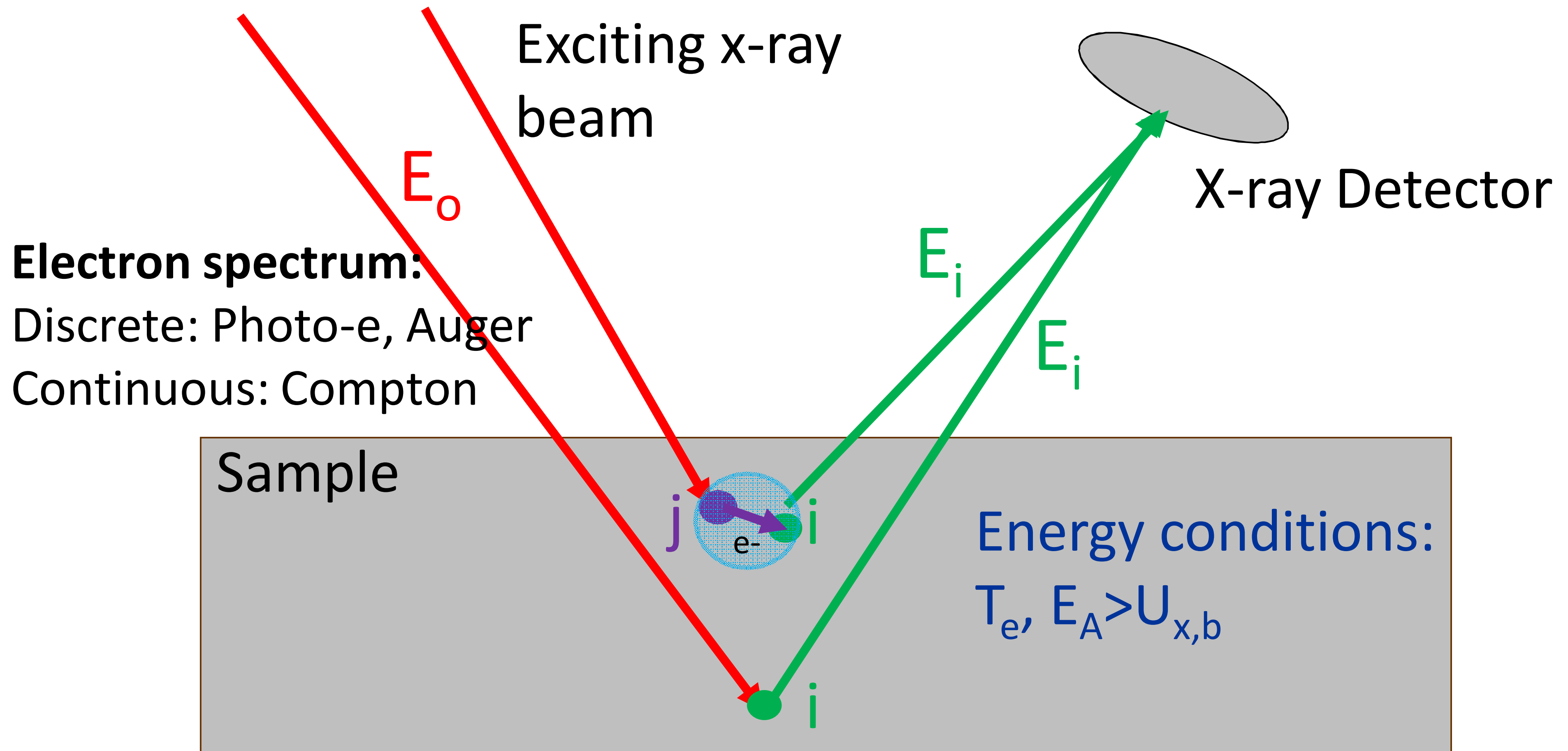


Effect on spectrum!

Karydas, Paradellis, X-Ray Spectrom. 1993; 22: 208

Tirao, Stutz, X-Ray Spectrom. 2003; 32: 13–24

Photo-/Auger/Compton e⁻ Indirect Fluorescence Enhancement



Ejected electrons from the atoms of element ***j*** can ionize an inner shell of element ***i***

Ionization induced by electrons

Stochastic movement of electrons (20 keV on Fe)

depth / nm

1600 1400 1200 1000 800 600 400 200 0

-800 -600 -400 -200 0 200 400 600 800

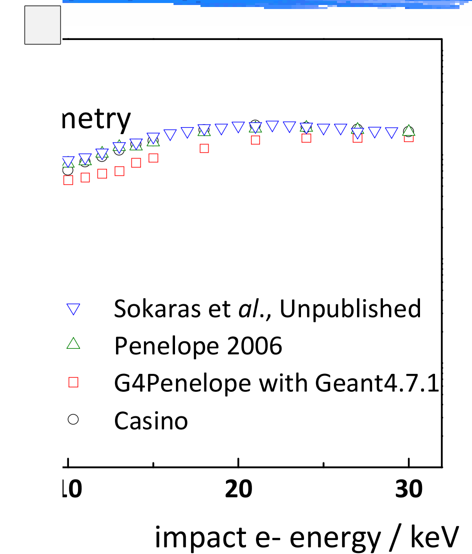
Surface / nm

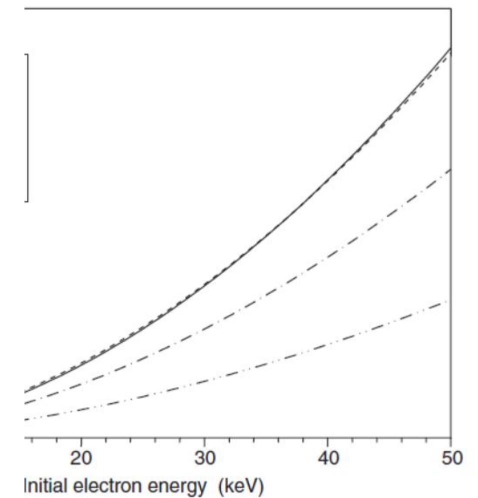
G
o
e

Q
se
fu

L
o

the mean ionization potential





Ionization induced by electrons

Stochastic movement of electrons (20 keV on Fe)

$$n_i(E_o) = \frac{N_A \rho W_i}{A_i} \int_{E_0}^{E_{Edge,i}} Q_i(E) \frac{1}{dE/ds} dE$$

Green and Cosslett expression for the number of photons emitted by interaction with a single electron of initial kinetic energy Eo

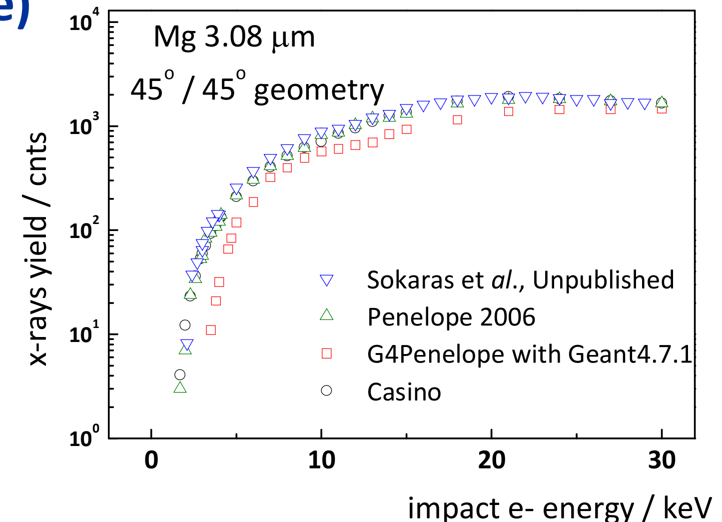
$$Q_{ip}(E) = 6.51 \times 10^{-20} \frac{Z_{subshell,i}}{E_{Edge,i}{}^2} b \frac{ln(cU)}{U} \quad (cm^2)$$

$Q_i(E)$ and dE/ds are the inner shell ionization cross-section and the stopping power (energy loss function), respectively, of electrons in a material

$$\frac{dE}{ds} = -\frac{\rho}{J'} \sum_k \frac{W_k Z_k}{A_k} \frac{1}{1.18 \times 10^{-5} \sqrt{E/_{J'}} + 1.47 \times 10^{-6} \left(E/_{J'}\right)}$$

Love et al. expression for stopping power of electrons

$J_k = 0.0115 Z_k \ (keV)$ the mean ionization potential



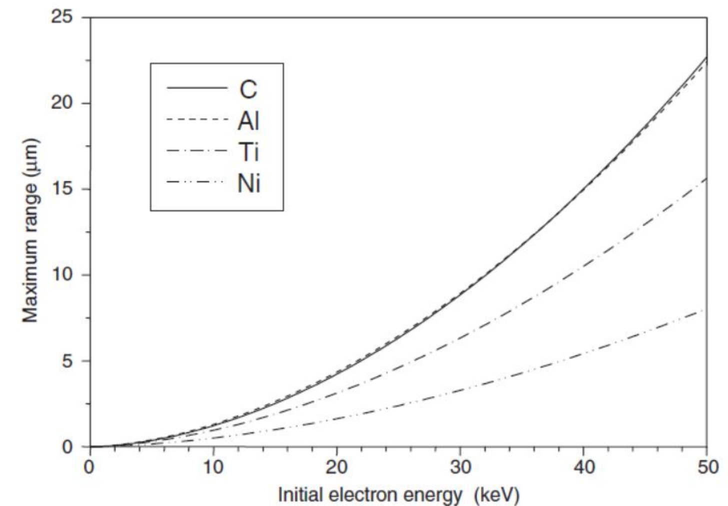
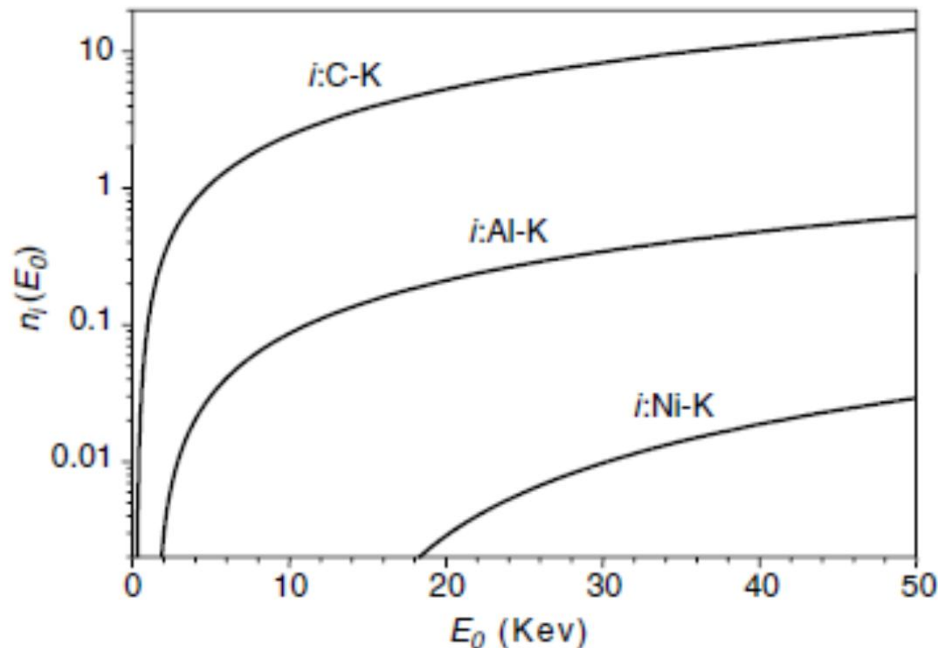
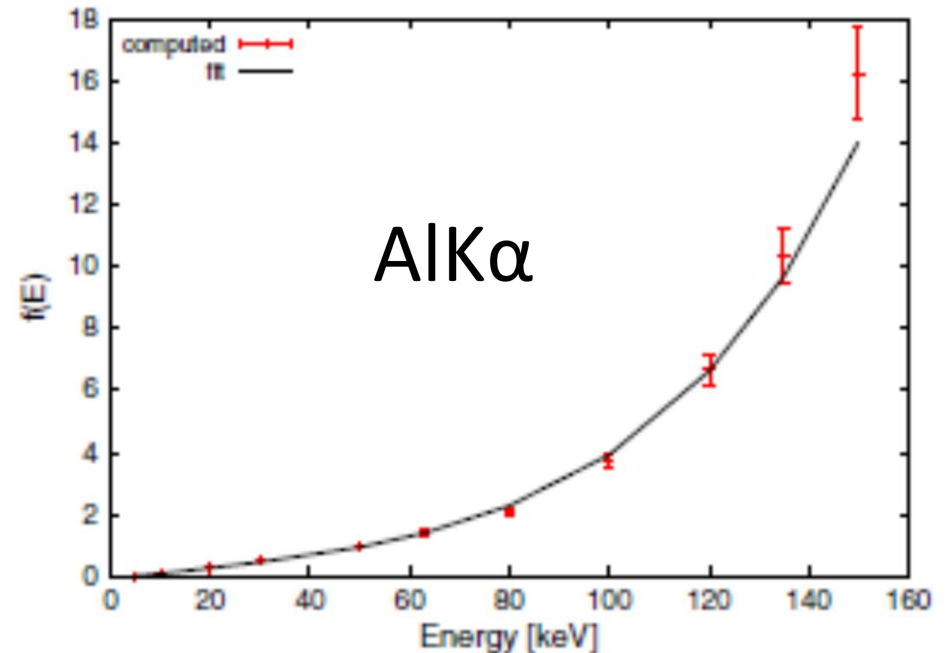


Photo e$^-$ Fluorescence Enhancement

$$N_{i,photo-electron} = G_i C_i \sum_j \int_{E=E_{Edge,j}}^{E=E_{max}} \frac{N_0(E)\tau_j n_i(E - E_{Edge,j})dE}{\mu^*}$$

Increases when exciting beam energy is far away from absorption edge of light elements

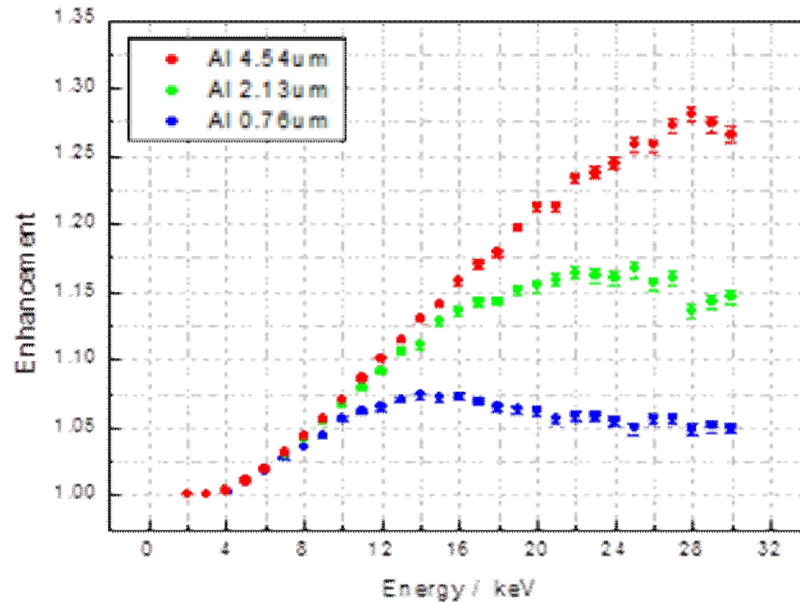


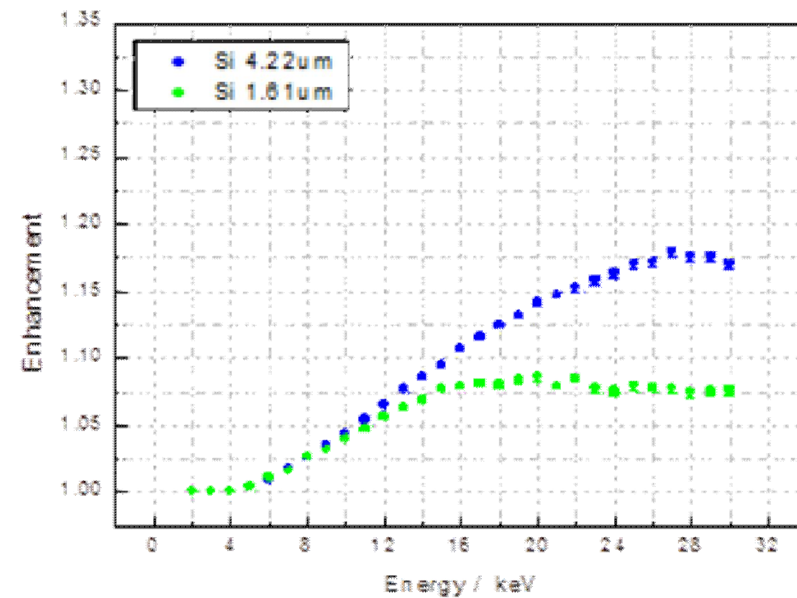


N. Kawahara in Handbook of Practical X-Ray Fluorescence Analysis, by B. Beckhoff B. Kanngiesser, N. Langhoff, R.Wedell, H.Wolff, (Eds.)

J. Fernandez et *al.*, X-Ray Spectrometry 2013, 42, 189–196

Photo e^- Fluorescence Enhancement





Monte Carlo calculations of phot-e enhancement:
Al (4.54µm, 2.13µm, 0.76µm) and Si (4.22µm, 1.61µm)
Casnati parameterization for electron ionization cross sections

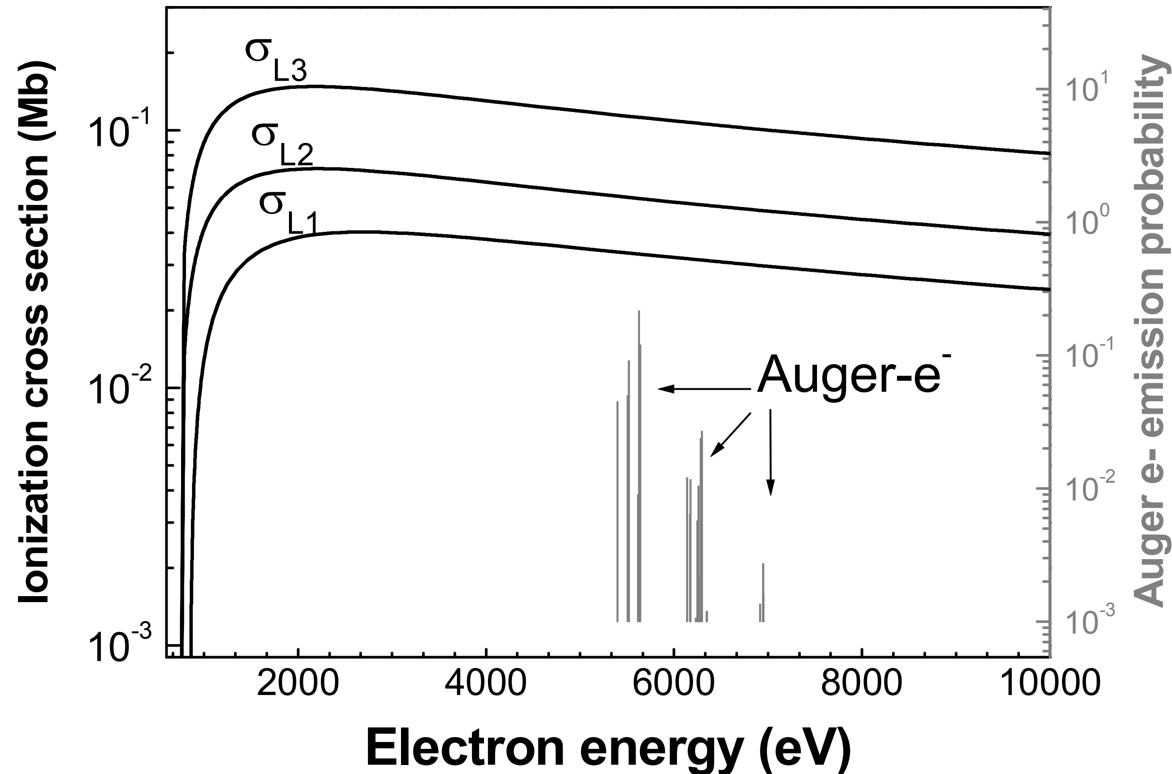
D. Sokaras et *al.*, unpublished

Auger e⁻ Fluorescence Enhancement

$$N_{i,Auger-electron} = G_i C_i \sum_j \int_{E=E_{Edge,j}}^{E=E_{max}} \frac{N_0(E)\tau_j(1-\omega_i)\sum_\kappa n_i\left(E_{Auger-electron,jk}\right)}{\mu^*} dE$$

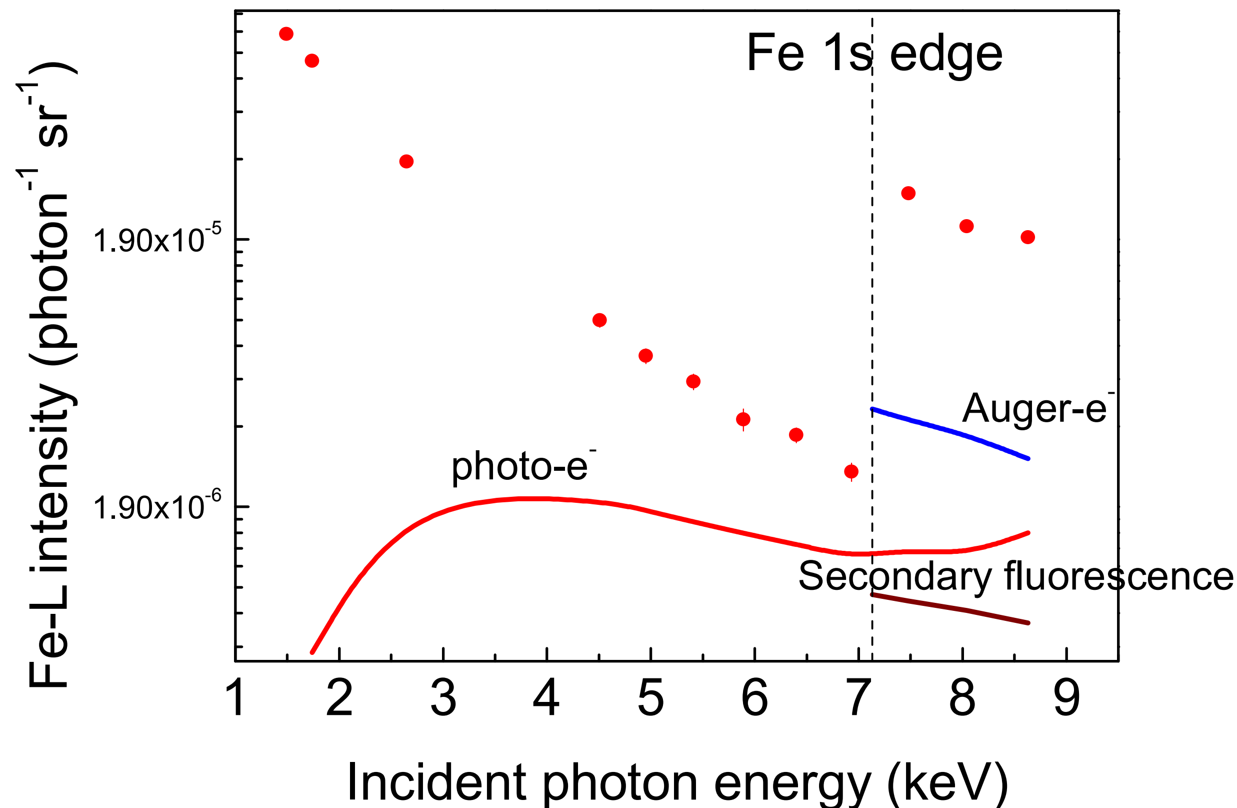
- **Important:** When a light element analyte is embedded in a heavy element matrix.
- The Auger-electrons from the matrix elements can excite light element fluorescence.
- Example: When carbon in steel is analyzed, a Fe KLL Auger-electron with a kinetic energy of 6.3 keV can excite multiple carbon K-shells

Secondary electron induced ionizations
Example: Thick Fe target



- **L-shell photoelectrons**: $T_e = E_o - U_{Li}$,
- **Auger-electrons** (when $E_o > U_K$)

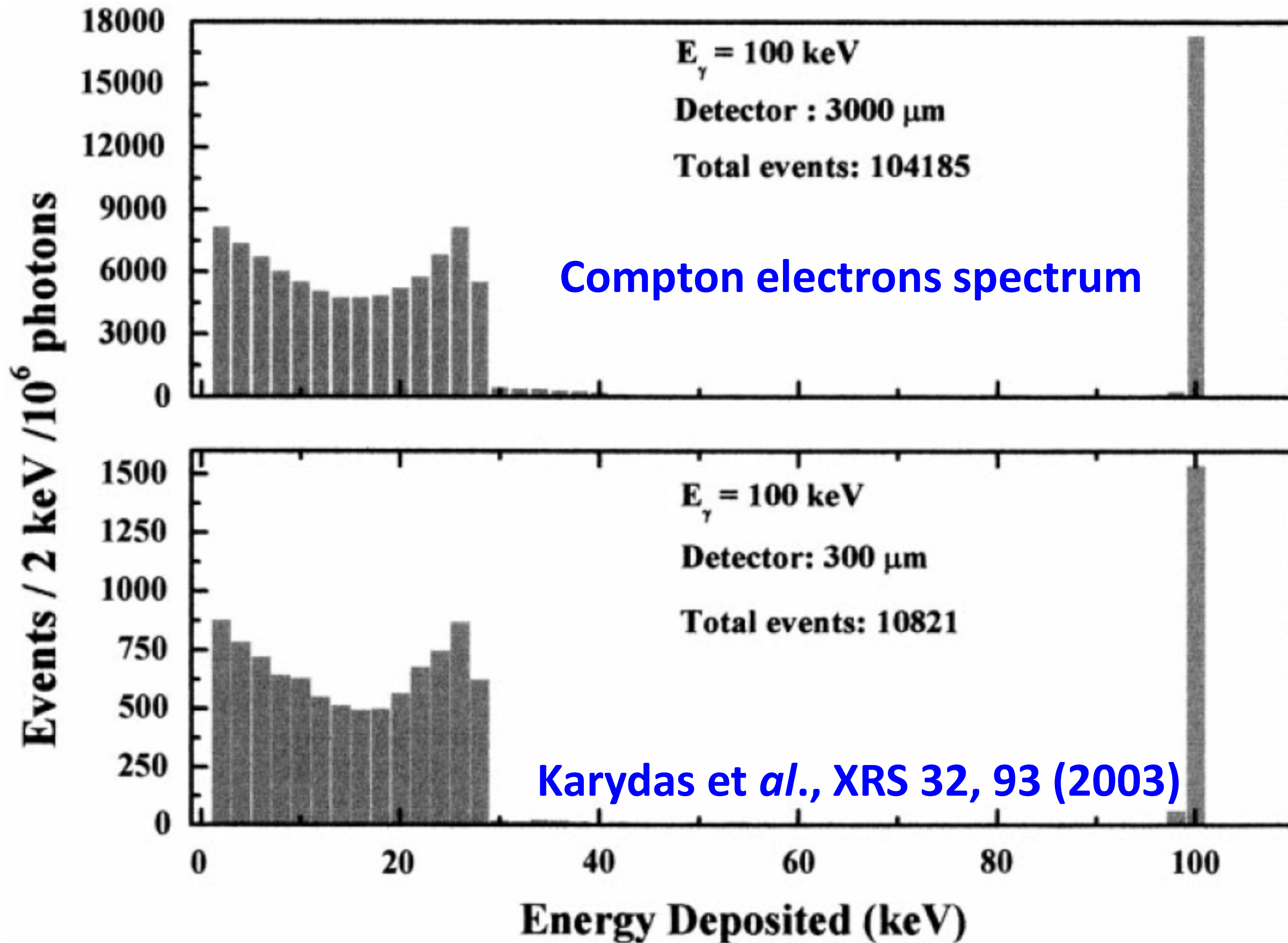
Relative e- enhancement to Fe-Lα excitation in the case of a Fe pure target



Bulk metallic Fe, Unpolarized incident radiation

Sokaras et *al*., Phys. Review A 83, 052511 (2011)

Compton electrons Fluorescence Enhancement



Compton electrons Fluorescence Enhancement

Thomas-Fermi model for the incoherent scattering function

$$\frac{\partial_a \sigma_{incoh}}{\partial \Omega} = \frac{\partial_c \sigma_{KN}(E_0, E', \theta)}{\partial \Omega} ZS(\alpha, \theta, Z)$$

$$S(v) = 1 - exp(-4.88 v^{0,856})$$

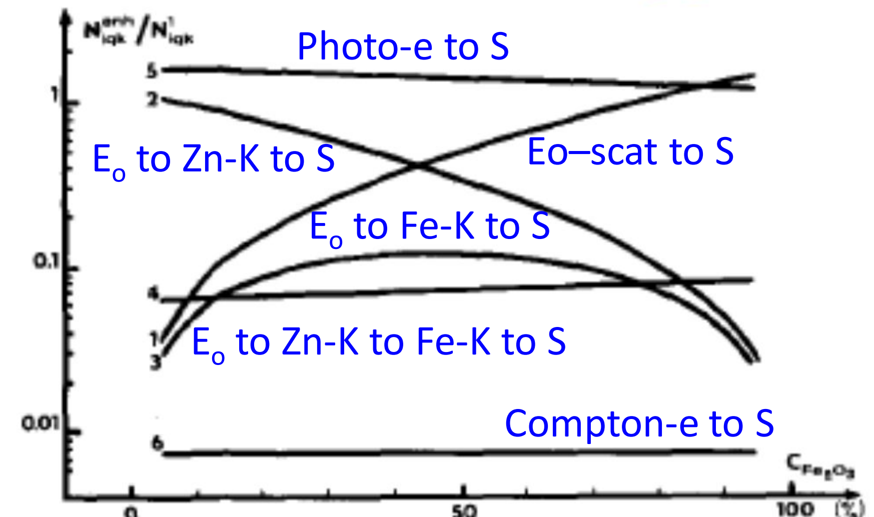
$$v = \frac{2}{3}\frac{137}{Z^{2/3}} asin(\theta/2)$$

$$\alpha = \frac{E_0}{m_c c^2}$$

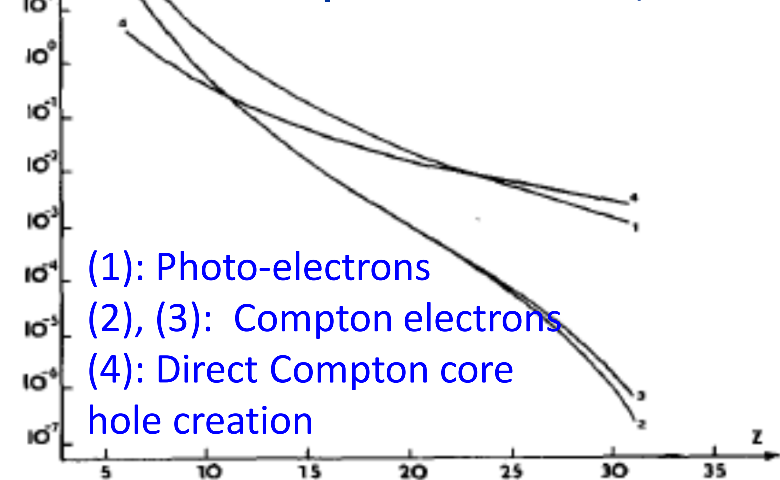
Energy distribution of Compton electrons

$$\frac{\partial_a \sigma_{incoh}}{\partial E} = 2\pi Z r_0^2 \frac{m_c c^2}{E_0^2}\left[\frac{E_0^2 E_0 E + E^2}{E_0(E_0 - E)} + \left(1 - \frac{m_c c^2 E}{E_0(E_0 - E)}\right)\right] \left\{1 - exp\left[-1.11766 \times \left(\frac{E_0}{Z^{2/3}}\right)\sqrt{\frac{m_c c^2 E}{2E_0(E_0 - E)}}\right]\right\}$$

Exciting beam : 59.6 keV, Sample: $Fe_2 0_3$ + ZnS

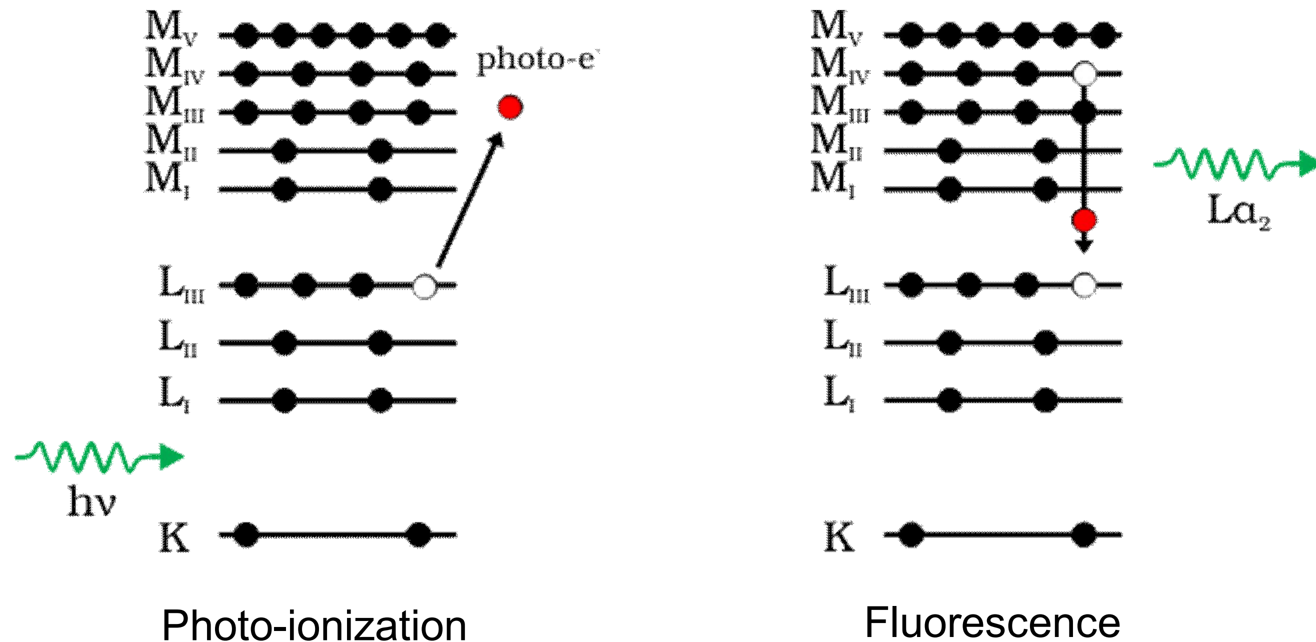


Exciting beam : 59.6 keV, Sample: Pure element, Z



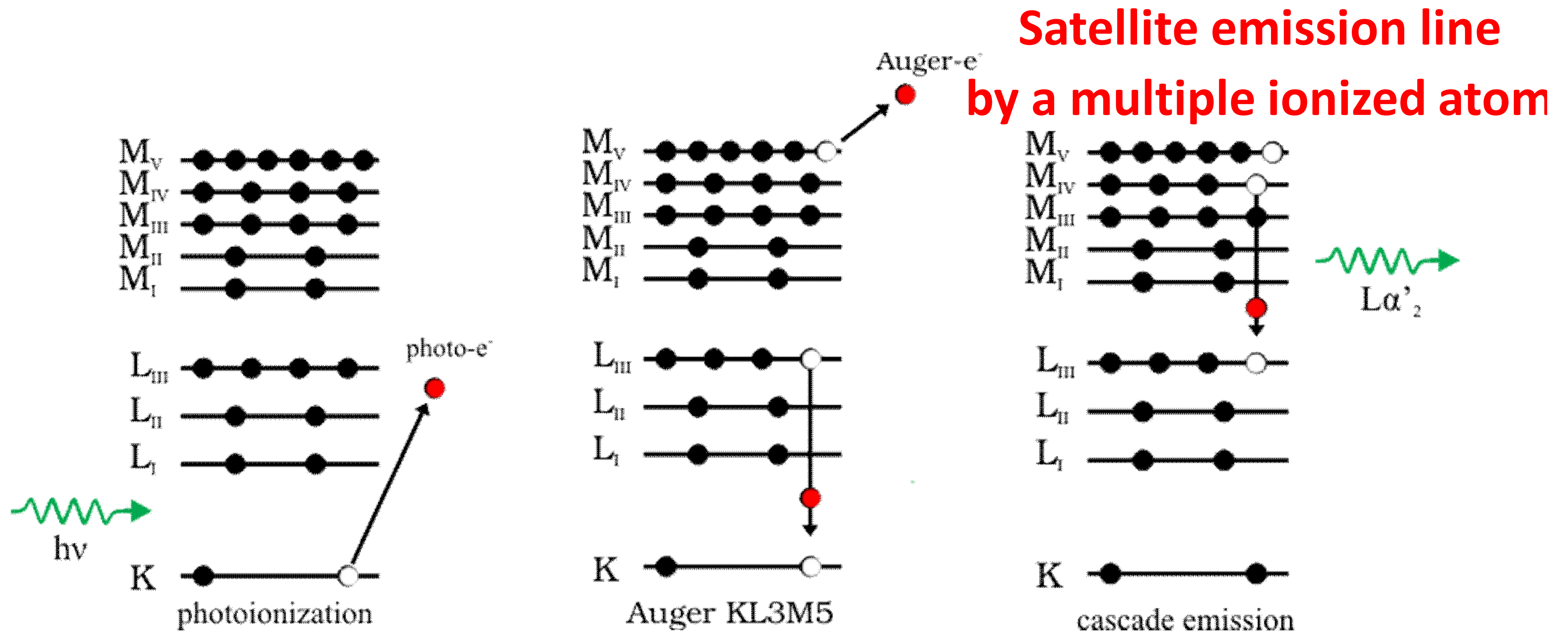
K. Stoev, J. Phys. D: Appl. Phys. 25 (1992) 131-138

De-excitation processes for inner-shell ionized atoms. Diagram L-emission



Emission of a diagram line

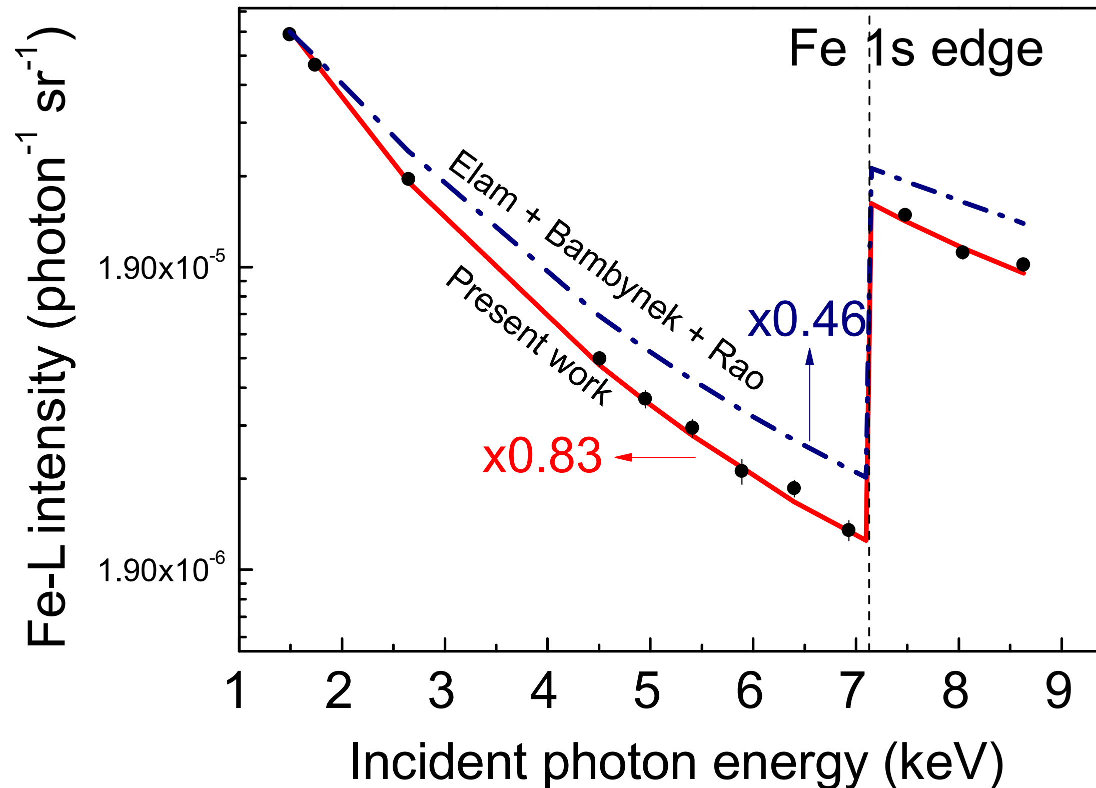
Cascade L X-ray emission



Cascade Emission: X-ray emission due to relaxation of an **indirectly** vacancy created by the relaxation of innermost shell and **not** due to a direct ionization.

Fe-L cascade effect

Bulk metallic Fe, Unpolarized incident radiation



Sokaras et *al*., Phys. Review A 83, 052511 (2011)

T. Schoonjans et *al*, SAB, B66, (2011) 776

Fluorescence cross sections include full cascade effect due to radiative and non radiative probabilities

Secondary fluorescence enhancement

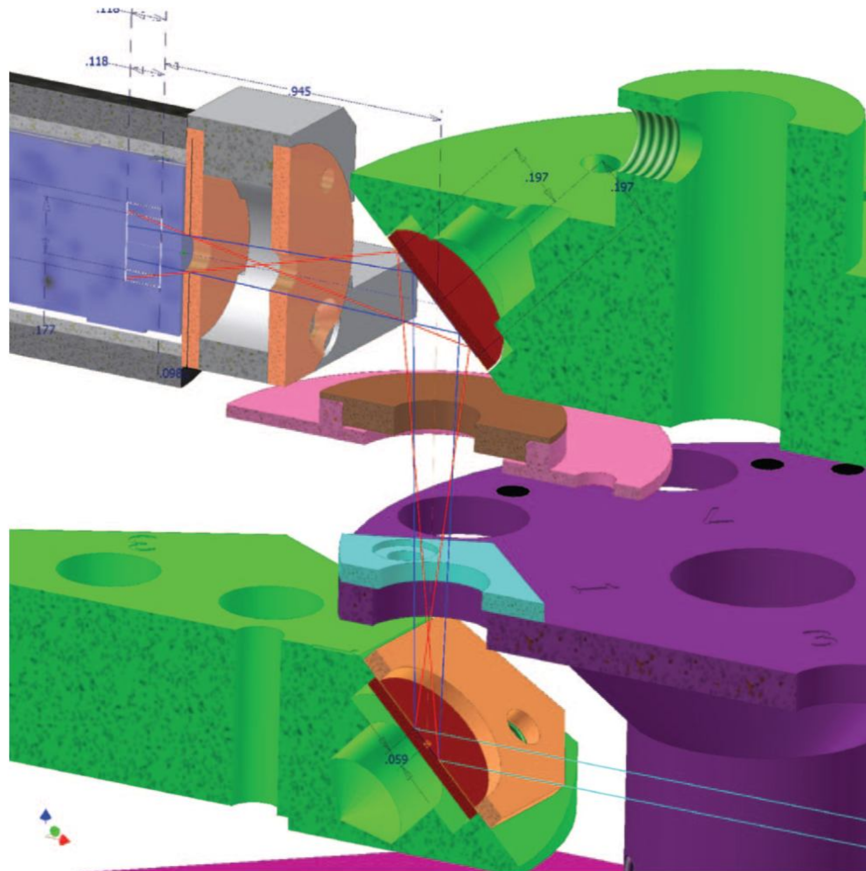
Z	WF (%)	Ipr (%)	Isec (%)	Iter (%)	Iscat (%)
Al	8.4	1	21.2	1.17	1.2
Si	26.7	1	18.1	0.64	1.23
Ca	9.3	1	13.8	-	1.64
Fe	9.8	1	-	-	2.44

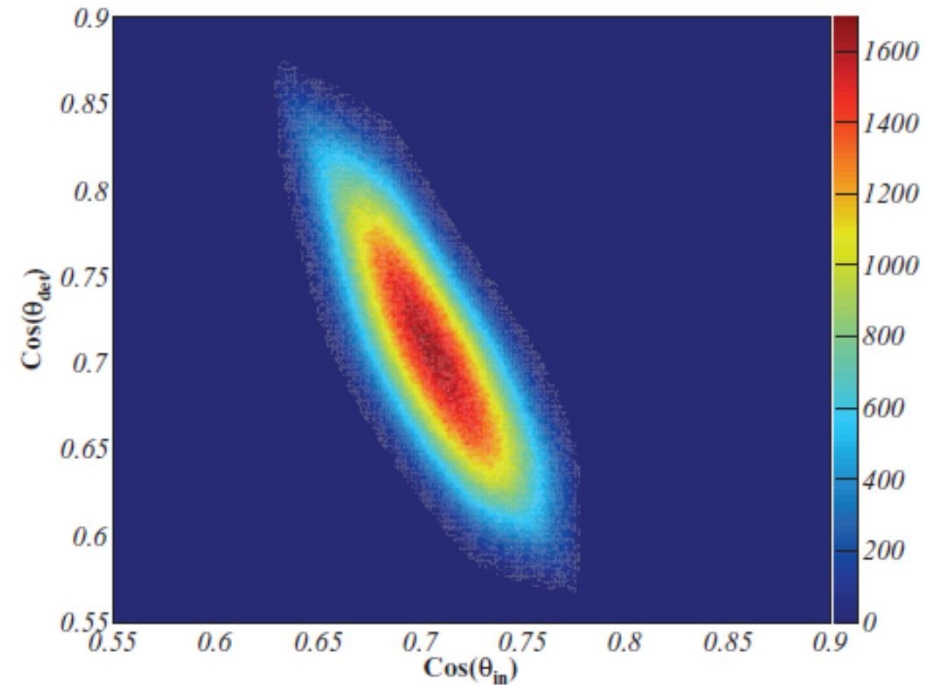
$\psi_1 = \psi_2 = 45^o$

$E_0 = 17.44 keV$

$(Mo - K_a)$

Geometrical considerations: Non-parallel x-ray beams



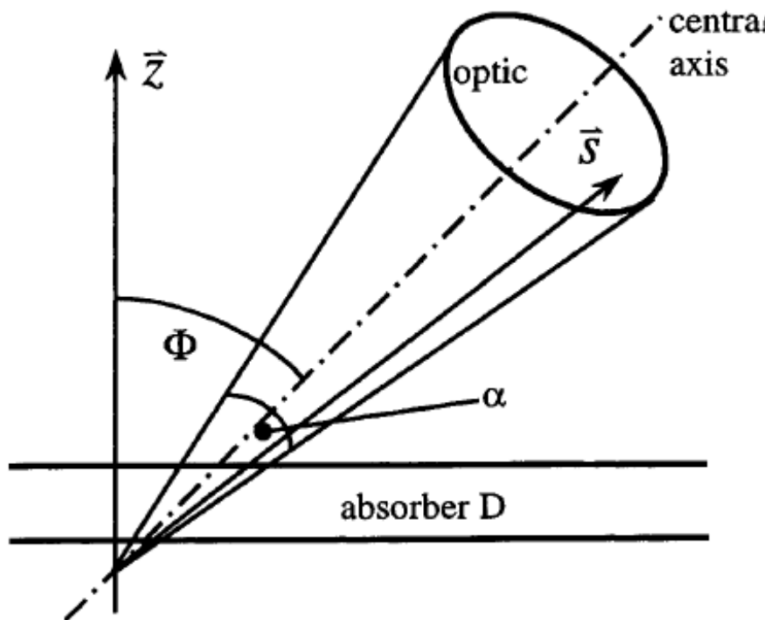


ϑ_{in}=45.2◦ and ϑ_{out}=44.7◦

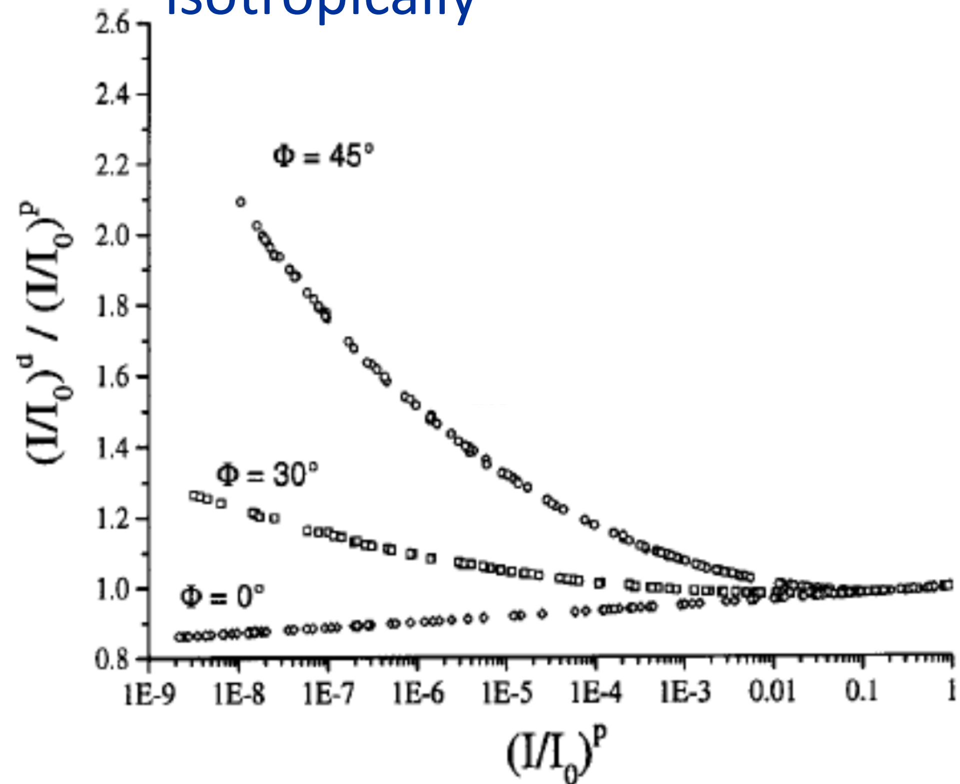
Sokaras et al., Review of Scientific Instruments 83, 123102 (2012);

Fluorescence intensities for non-parallel x-ray beams

The divergent angle ¸ is 20° and the trajectories are distributed isotropically

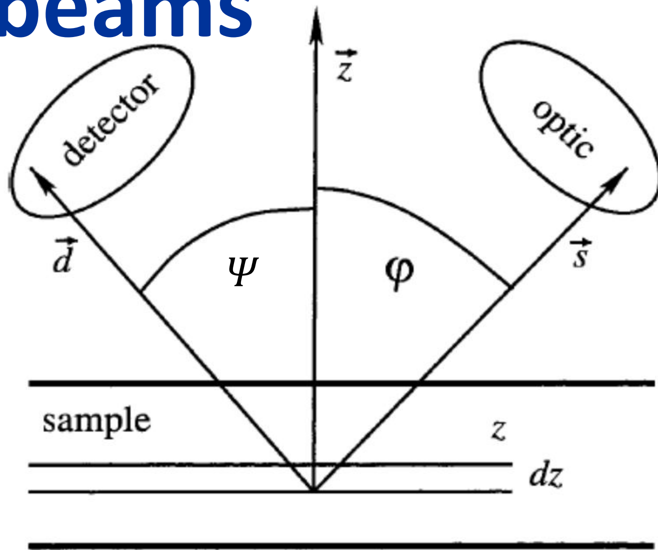


$$\left(\frac{I}{I_0}\right)^d = \int p(\vec{s}) exp\left(\frac{-\mu\rho D}{s_z}\right) d\vec{s}$$



Malzer, Kanngiesser, X-Ray Spectrom. 2003; 32: 106–112

Fluorescence intensities for non-parallel x-ray beams

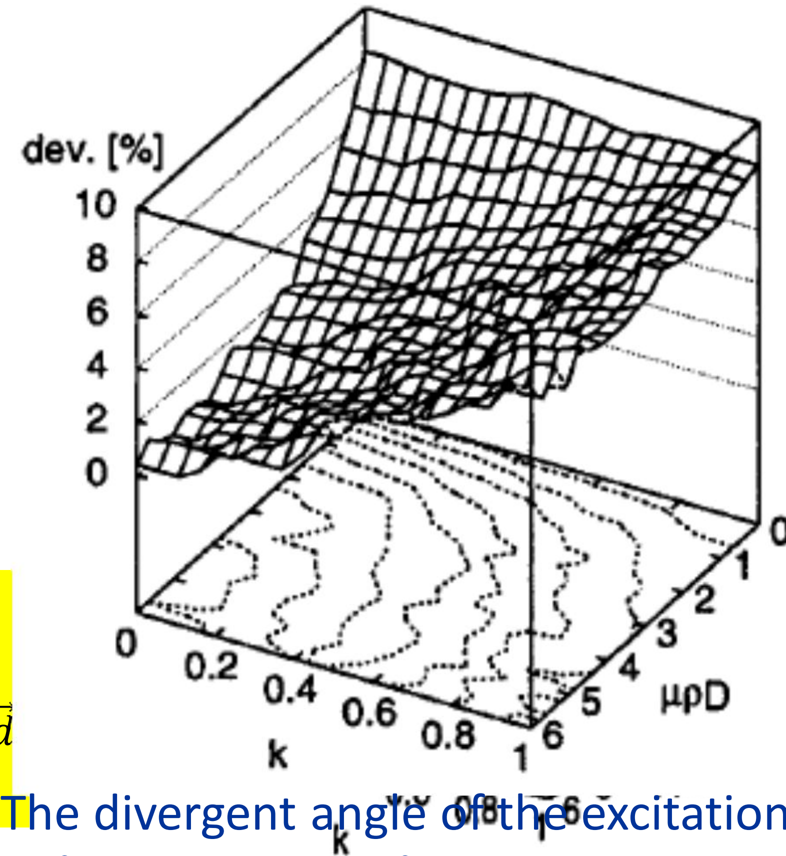


$$I_i^d = \frac{I_0 K_i c_i}{\mu} \int p(\vec{s})\, p(\vec{d}) \frac{1 - exp\left[-\mu\rho D\left(\frac{k}{d_z} + \frac{1-k}{s_x}\right)\right]}{k\frac{s_z}{d_z} + (1-k)} d\vec{s} d\vec{d}$$

$$\cos = s_z \;\; and \;\; \cos\Psi = d_z$$

$$\mu = \mu_0 + \mu_i$$

$$k = {}^{\mu_i}/_{\mu}$$



The divergent angle of the excitation is 60°, inclined to 20°. The detector again covers 20°, inclined to 30°. XRF and micro-XRF spectrometers which employ Bragg optics

A polycapillary lens, with a divergent angle of 10°, pointing perpendicular towards the sample surface. Detector angle of 20°.

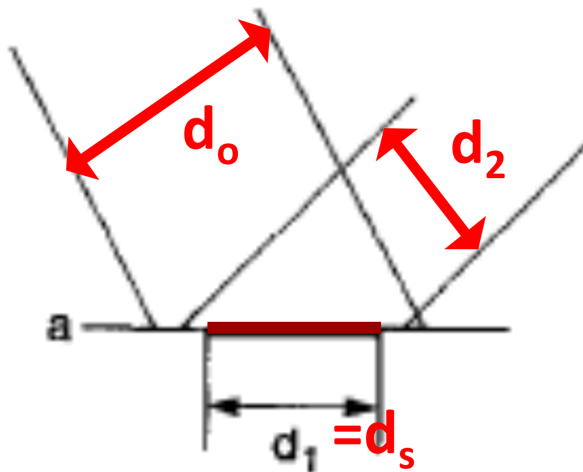
Geometrical considerations in XRF intensities

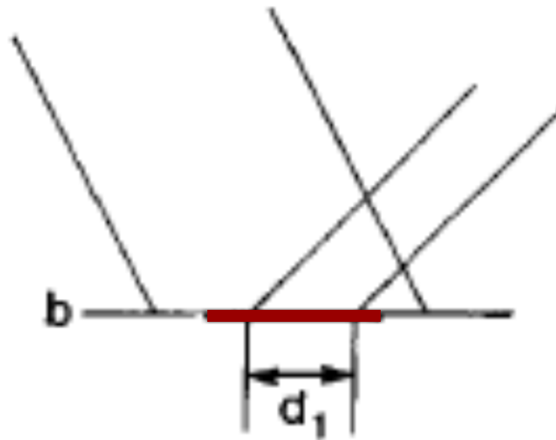
Incident flux I_o is expressed in number of photons/s/cm^2

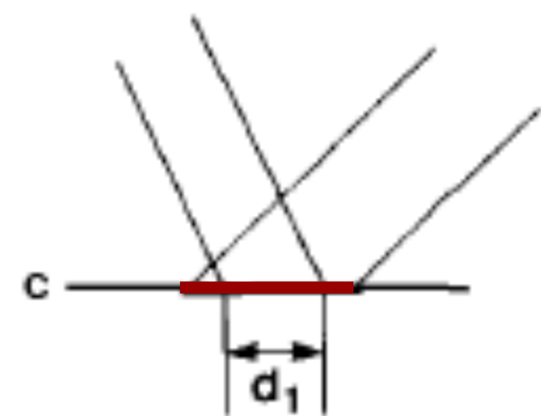
$$G = \frac{\Delta\Omega}{4\pi} \times \frac{wd_s}{a^2} \sin\vartheta_1$$

$$G = \frac{\Delta\Omega}{4\pi} \times \frac{wd_2}{a^2} \times \frac{\sin\vartheta_1}{\sin\vartheta_2}$$

$$G = \frac{\Delta\Omega}{4\pi} \times \frac{wd_o}{a^2}$$







$$G \propto \sin\vartheta_1$$

$$G \propto \frac{\sin\vartheta_1}{\sin\vartheta_2}$$

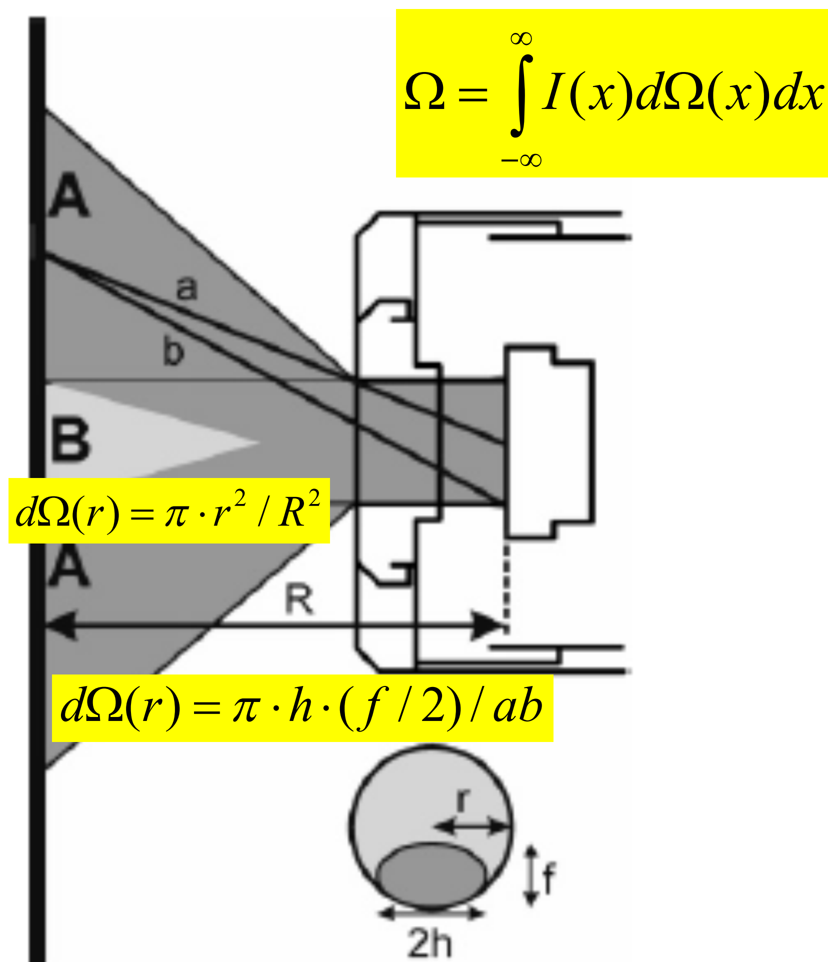
$$G = const$$

De Boer, XRS, 18, 119, 1989

Geometrical considerations in XRF intensities

Geometry under **GI conditions**

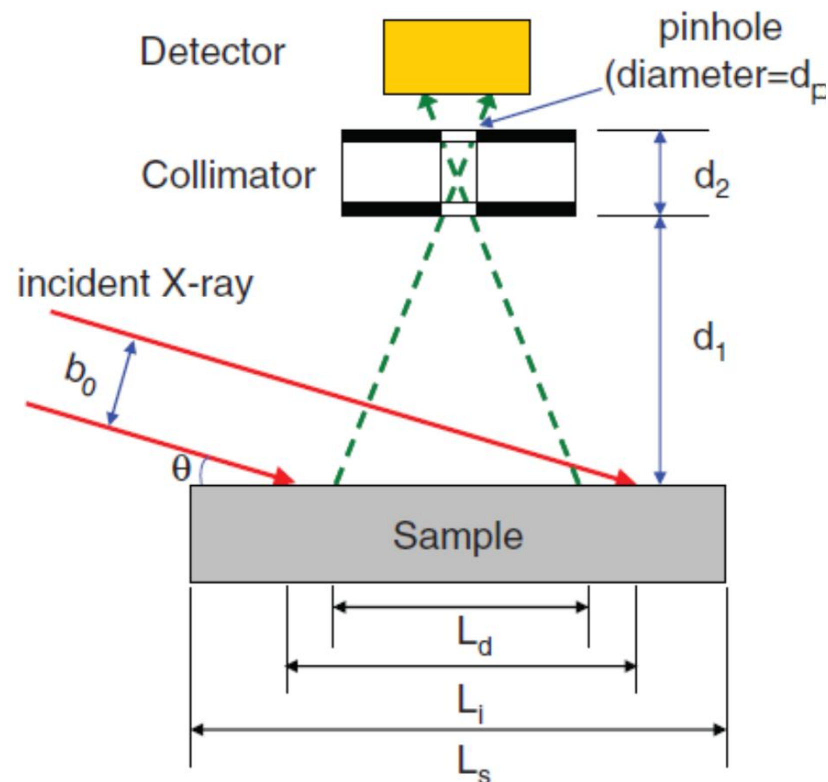
$$\Omega = \int_{-\infty}^{\infty} I(x)\, d\Omega(x)\, dx$$



$$d\Omega(r) = \pi \cdot r^2 / R^2$$

$$d\Omega(r) = \pi \cdot h \cdot (f/2) / ab$$

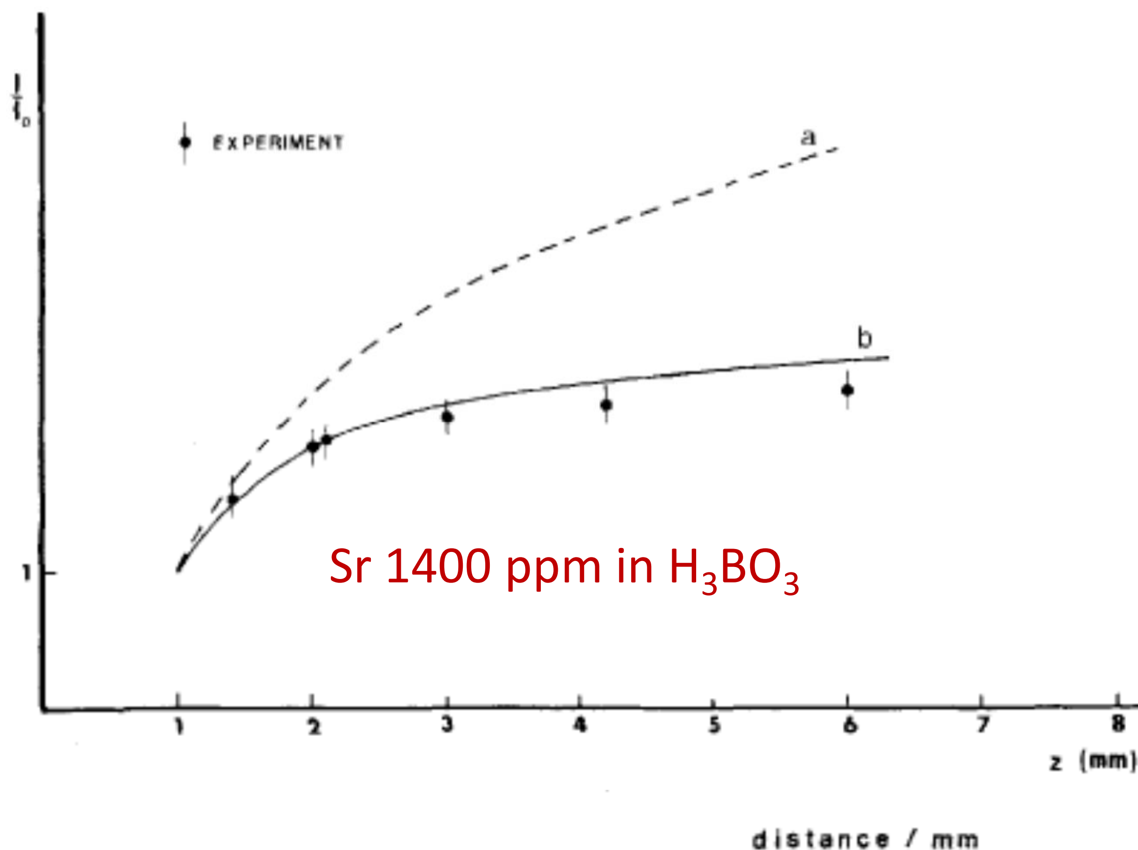
B. Beckhoff et al Anal. Chem. 2007

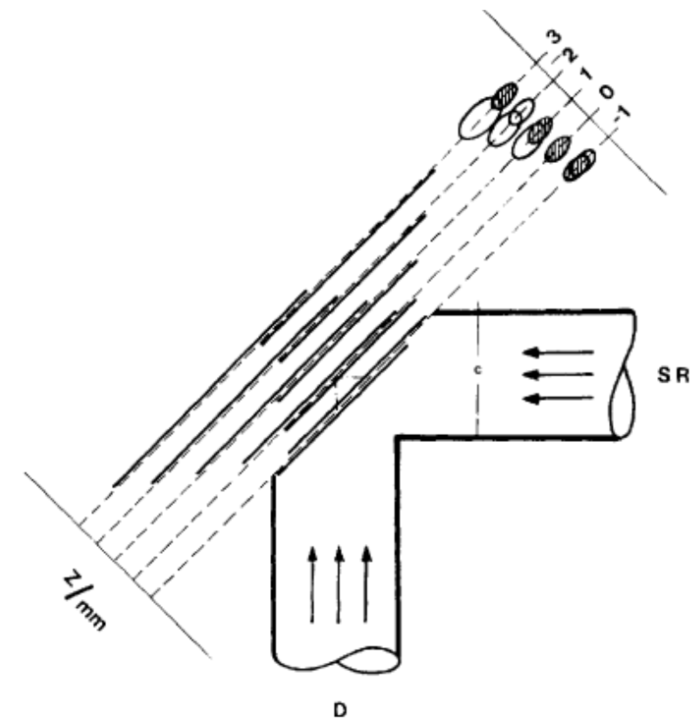


Weblin Ll, Rev. Sci. Instrum. 83, 053114 (2012); doi: 10.1063/1.4722495

Geometrical considerations in XRF intensities

Sample Volume effect in milli-beam size XRF set-ups

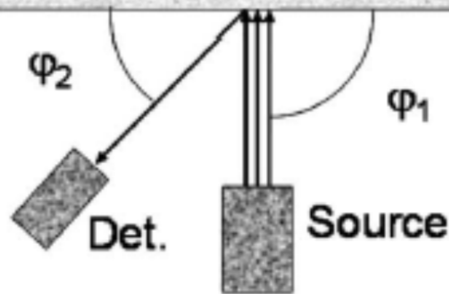




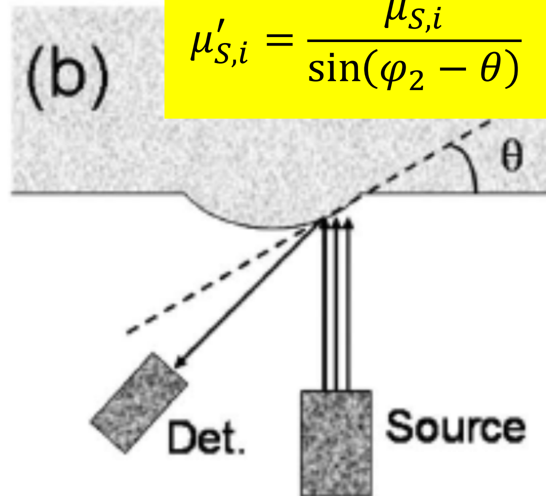
Orlic et al. XRS, 16, 125-130 (1987)

Effect of Surface Topography in XRF intensities

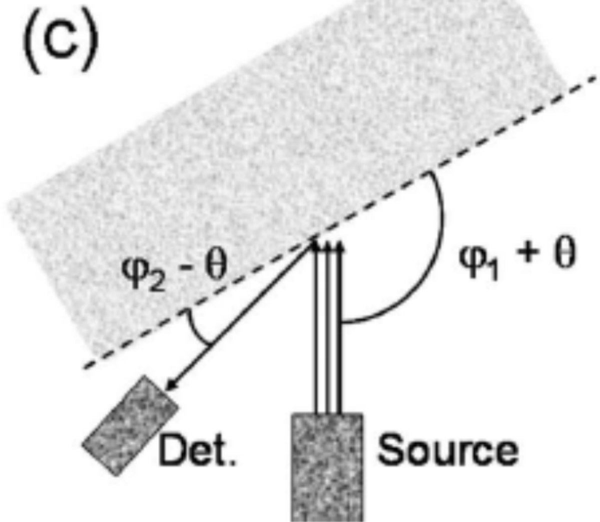
$$N_i = \frac{K_i C_i}{\sin(\varphi_1 + \theta)} \left(\sum_E \frac{\tau_{i,E}}{\mu'_{S,E} + \mu^N_{S,i}} I(E) \Delta E + \sum_j \sum_J C_j \, g_J \tau_{i,j} \times \sum_E \frac{\tau_{j,E} I(E) \Delta E}{\mu'_{S,E} + \mu^N_{S,i}} L_{i,J} \right)$$

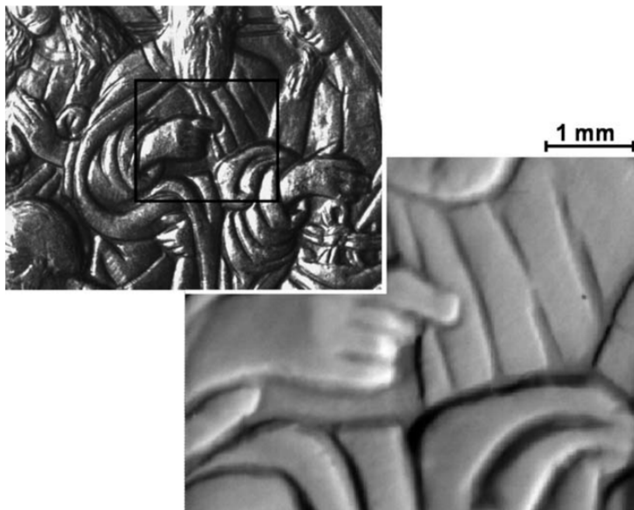


$$\mu'_{S,E} = \frac{\mu_{S,E}}{\sin(\varphi_1 + \theta)}$$



$$\mu'_{S,i} = \frac{\mu_{S,i}}{\sin(\varphi_2 - \theta)}$$





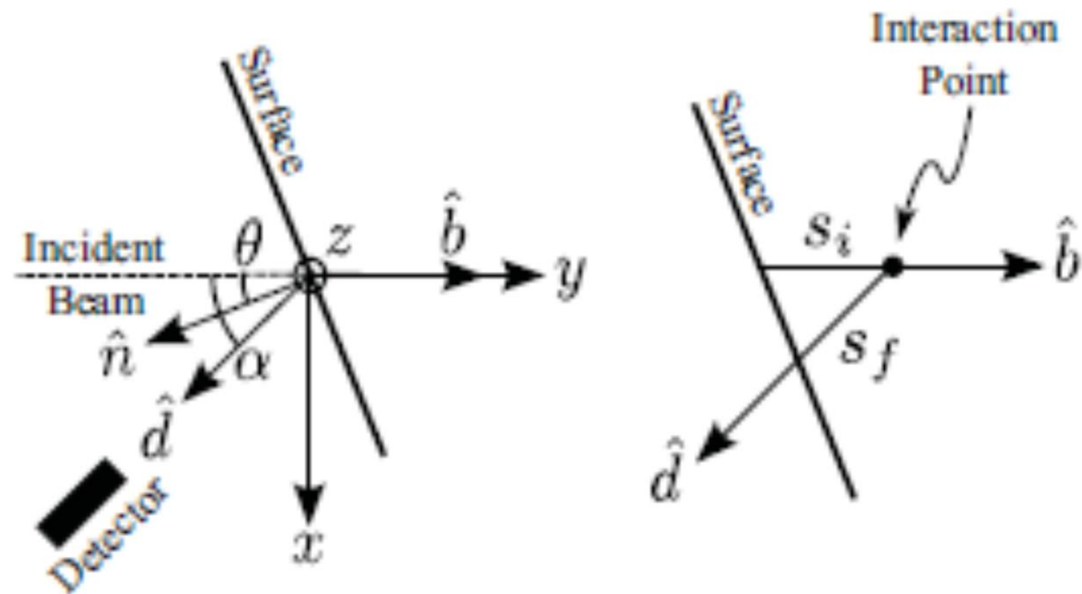
T. Trojek, J. Anal. At. Spectrom., 2011, 26, 1253

Effect of Surface Topography in XRF intensities

$$\hat{n} \cdot \left(s_i \hat{b} + s_f \hat{d}\right) = 0$$

$$s_f = -\frac{\hat{b} \cdot \hat{n}}{\hat{d} \cdot \hat{n}} s_i \equiv k \cdot s_i$$

$$k = (\cos a + \tan\theta \sin\alpha)^{-1}$$



$$I = \lambda \int_0^\infty exp\left[-(\mu_i + k\mu_f)s_i\right] ds_i = \frac{\lambda}{\mu_i + k\mu_f}$$

$$I(\theta) \propto \frac{1}{1 + \left({}^{\mu_f}/_{\mu_i}\right)(\cos a + \tan\theta \sin a)^{-1}}$$

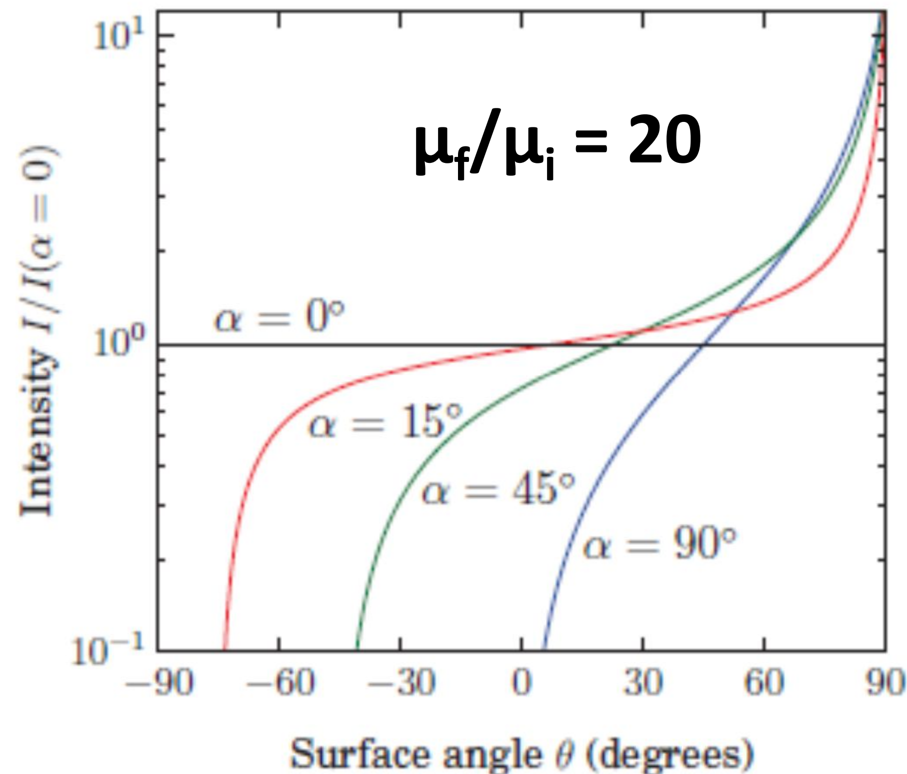
ϑ is the rotation of the surface normal around the *z* axis; $\vartheta = 0$ for a surface parallel to the *xz* plane

E. C. Geil and R. E. Thorne, J. Synchrotron Rad. (2014), 21, 1358-1363

Effect of Surface Topography in XRF intensities

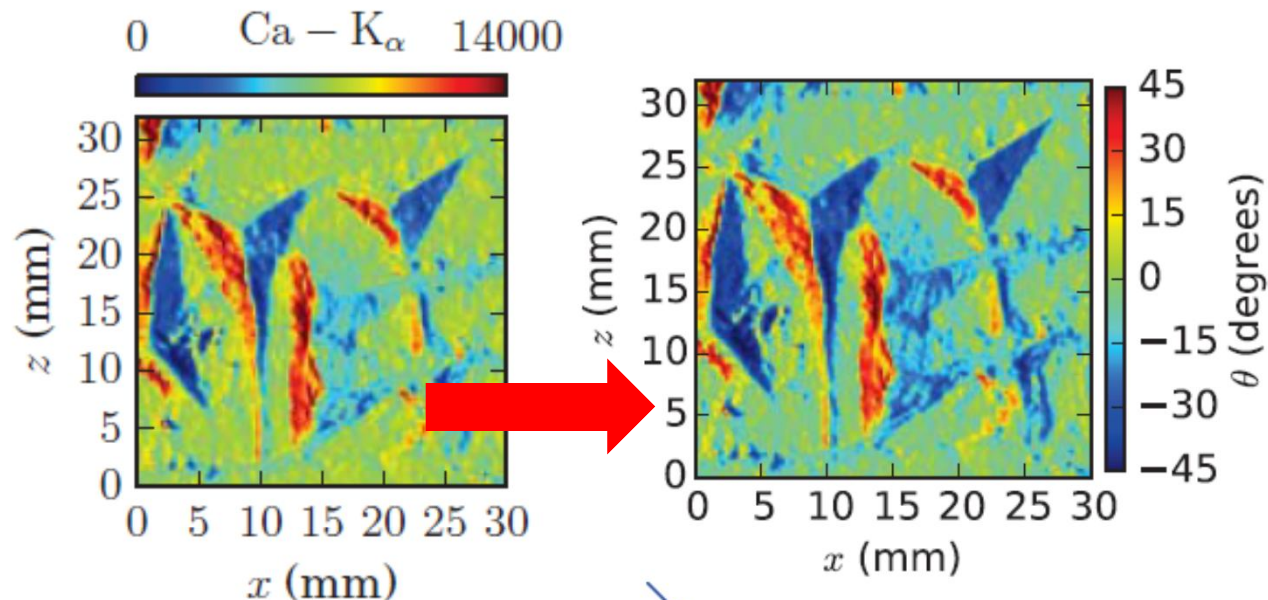
Hints:

The objects should be mounted so that their dominant surface curvature runs perpendicular to the detector–incident beam (x-y) plane

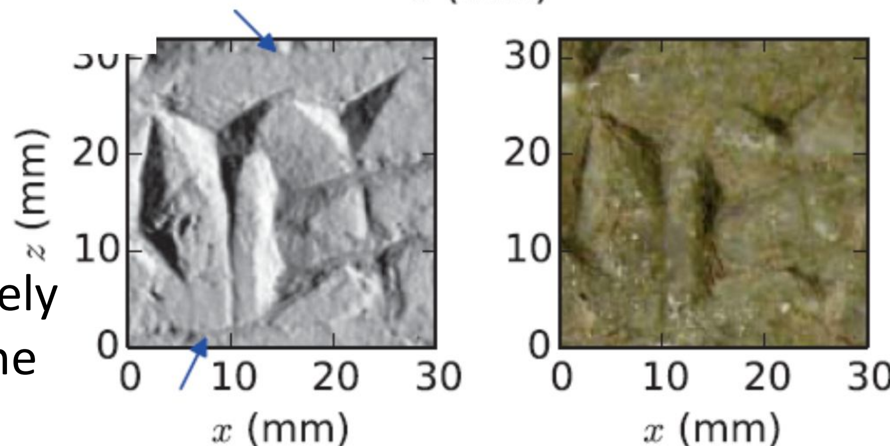


The angle effect vanishes as the detector position approaches the incident beam, and it is maximal when the detector is perpendicular to the beam. CaCO3 matrix, with incident beam energy 16.5keV

Effect of Surface Topography in XRF intensities



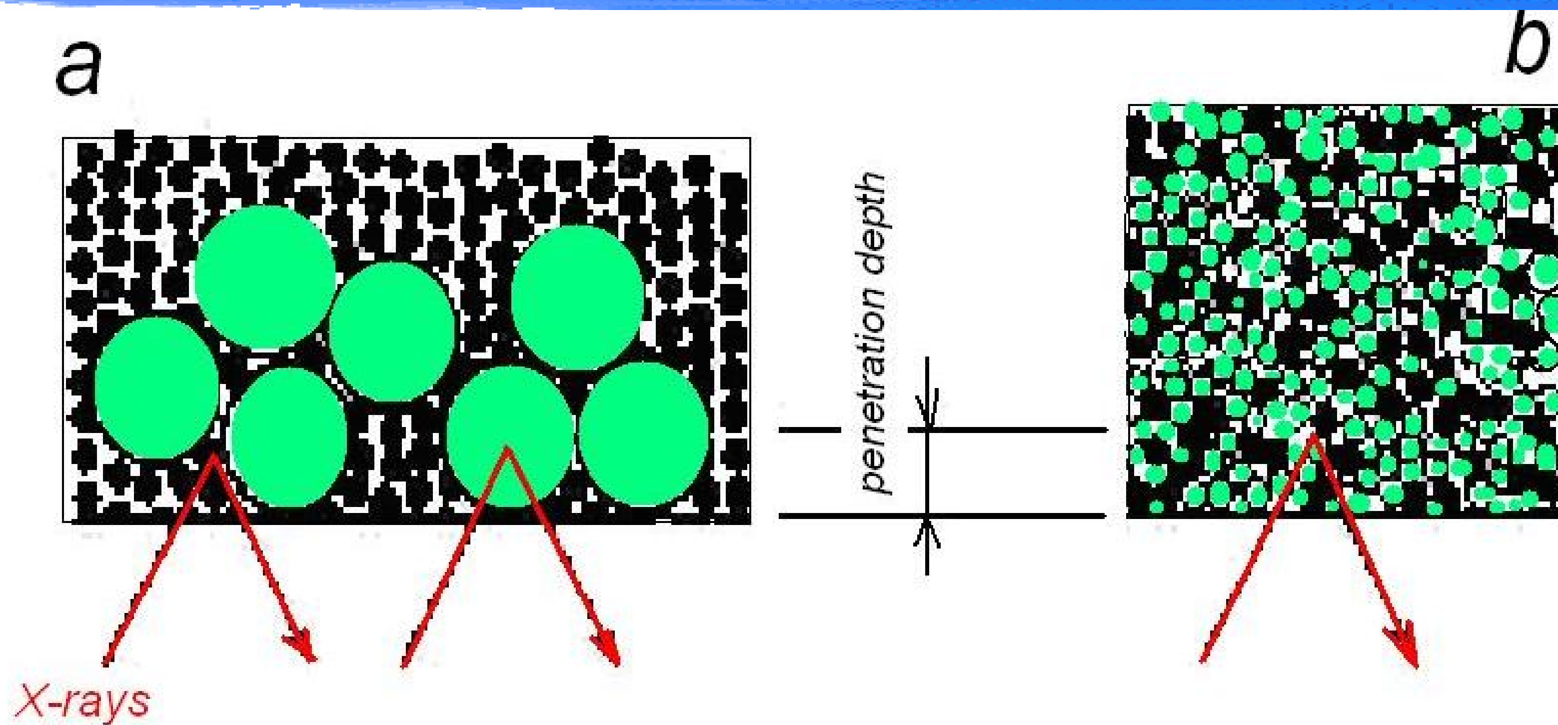
Map of surface angle θ computed from the Ca − Kα fluorescence



Rendering of the scanned area and shaded as if obliquely illuminated from the right side by a light source.

Photograph of the scanned area, adjusted to enhance contrast and brightness.

Sample effects – Particle size



Example: Fe_2O_3

50% of 8 -12 keV from 30µm – 60µm

90% of 8 -12 keV from 100µm – 200µm

Information originates only from the first two layers

Particle size correction models

- Berry et al (Adv. X-ray Anal. 12, 612 1969)
  - o Dependence of fluorescence intensity on:
    - $\bar{d}$ =2/3 diameter of sphere
    - η =packing ratio, $m = \frac{c_{nf}}{c_f}$ $D \approx 10nm$

$$P_{ja} = \frac{1-\exp\left[(\mu_f + \mu_f^{'})\cdot\rho_f\cdot\bar{d}\right]}{1-\exp\left[(\mu_f + \mu_f^{'})\cdot\rho_f\cdot D\right]}\cdot\frac{\{1-\eta+\eta\cdot\exp(-\mu_f\cdot\rho_f\cdot D)+\eta\cdot m\cdot\exp(-\mu_{nf}\cdot\rho_{nf}\cdot D)\}}{\{1-\eta+\eta\cdot\exp(-\mu_f\cdot\rho_f\cdot\bar{d})+\eta\cdot m\cdot\exp(-\mu_{nf}\cdot\rho_{nf}\cdot\bar{d})\}}$$

$$\mu_f = \sum_f c_f \frac{\mu_f(E_0)}{\sin\psi_1} \qquad \mu_{nf} = \sum_{nf} c_{nf}\frac{\mu_{nf}(E_0)}{\sin\psi_1}$$

$$\mu_f^{'} = \sum_f c_f \frac{\mu_f(E_j)}{\sin\psi_2} \qquad \mu_{nf}^{'} = \sum_{nf} c_{nf}\frac{\mu_{nf}(E_j)}{\sin\psi_2}$$

Overview - Conclusions

- The quantitative XRF analysis is currently supported by a well-defined mathematical formalism based on the so-called fundamental parameters approach
- The majority of second/third order phenomena that affect the analyte fluorescence intensity are described by analytical formulas

Obstacles:

- ✓ Enhancement due to electrons ionization requires verification and currently is not taken into account routinely
- ✓ Accuracy of fundamental parameters (soft energy region) and for L, M characteristic X-rays

Perspectives

- ❑ Monte Caro methods it is the most comprehensive tool to account for all high-order phenomena and assess their contribution in fluorescence intensities
- ❑ FP re-evaluation by means of metrological SR experiments

Acknowledgements

- ✓ Charalambos Zarkadas, PANalytical B.V. , The Netherlands
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