



Mechanisms for climate variability

Noel Keenlyside

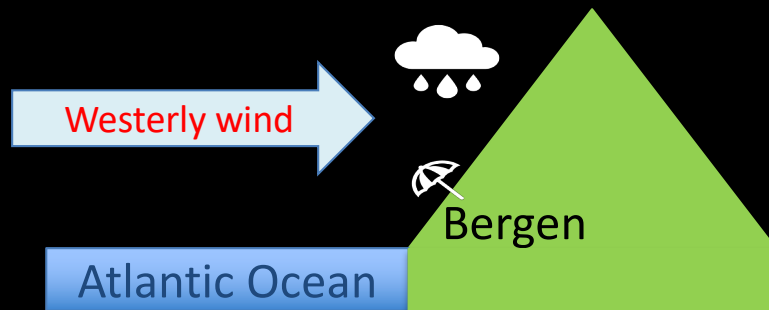
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Bjerknnes Center for Climate Research, Norway
Nansen Environmental and Remote Sensing Centre, Norway



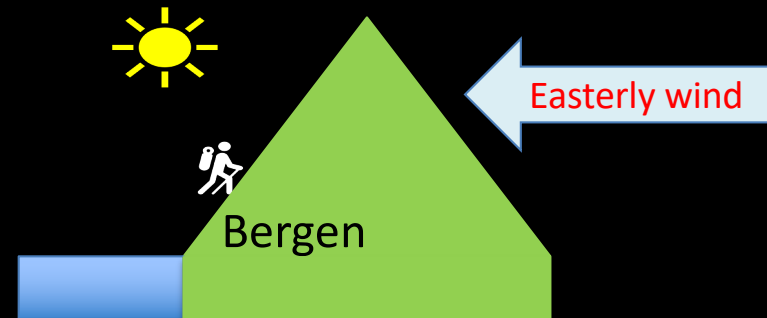
“Climate is what you expect, weather is what you get”, E. Lorenz

Climate and weather

Wet weather



Dry weather



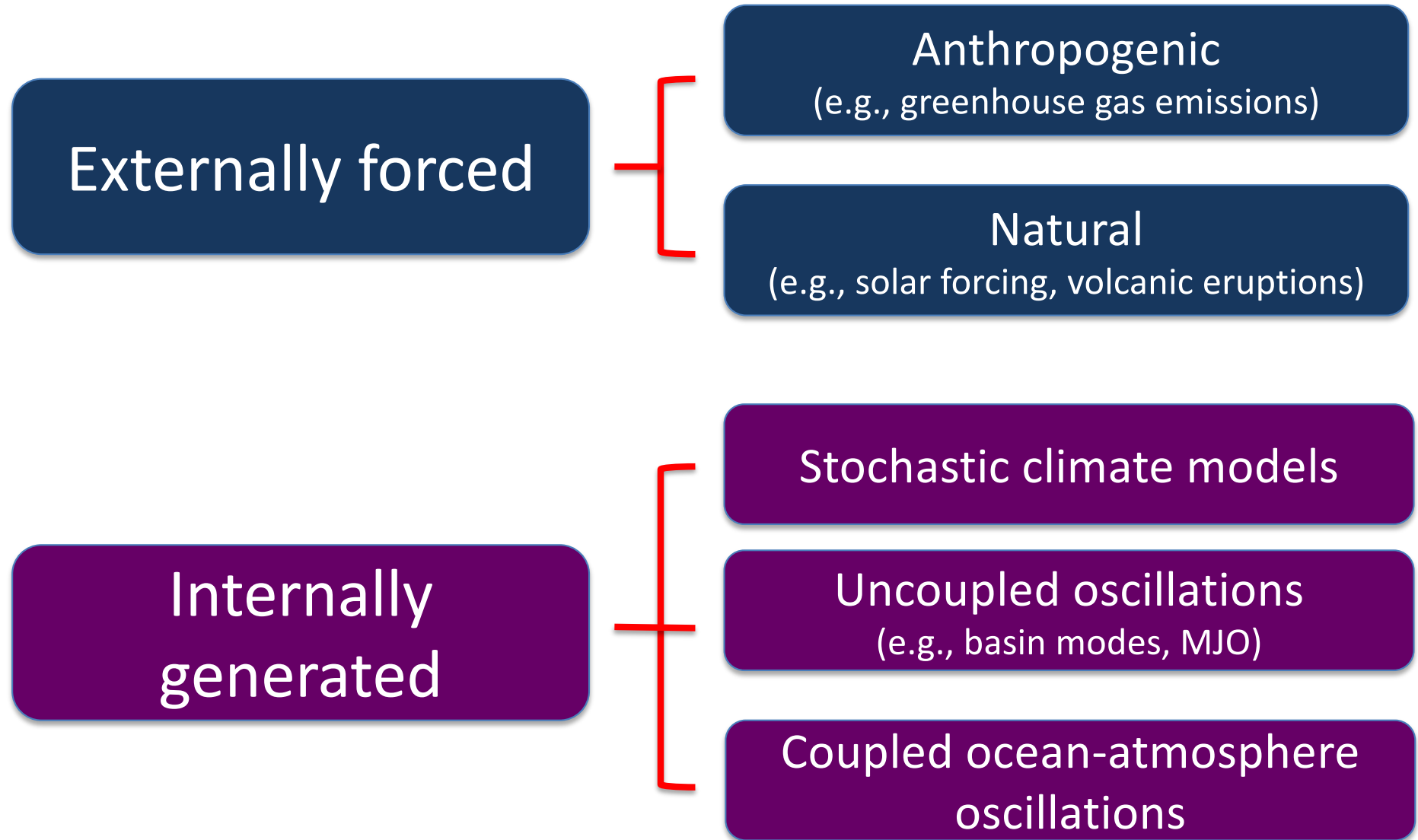
Climate is determined by how often different types of weather occur

	Cause of unusual summer conditions
Wet and cold	More frequent westerly wind regimes
Dry and warm	More frequent easterly wind regimes

Take home message:

“For climate variability, red noise is what you expect”, Hasselmann 1976

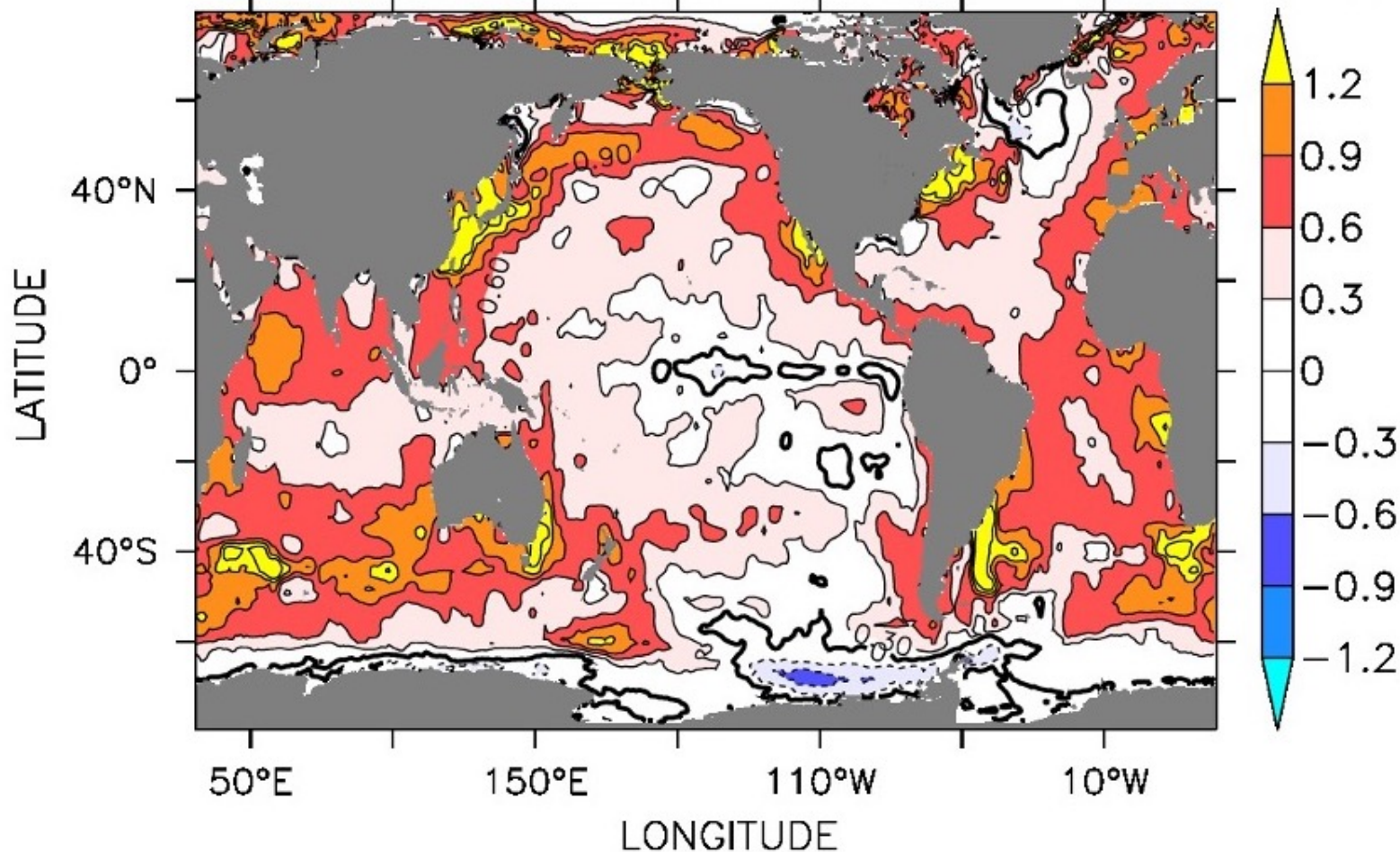
Mechanisms for climate variability



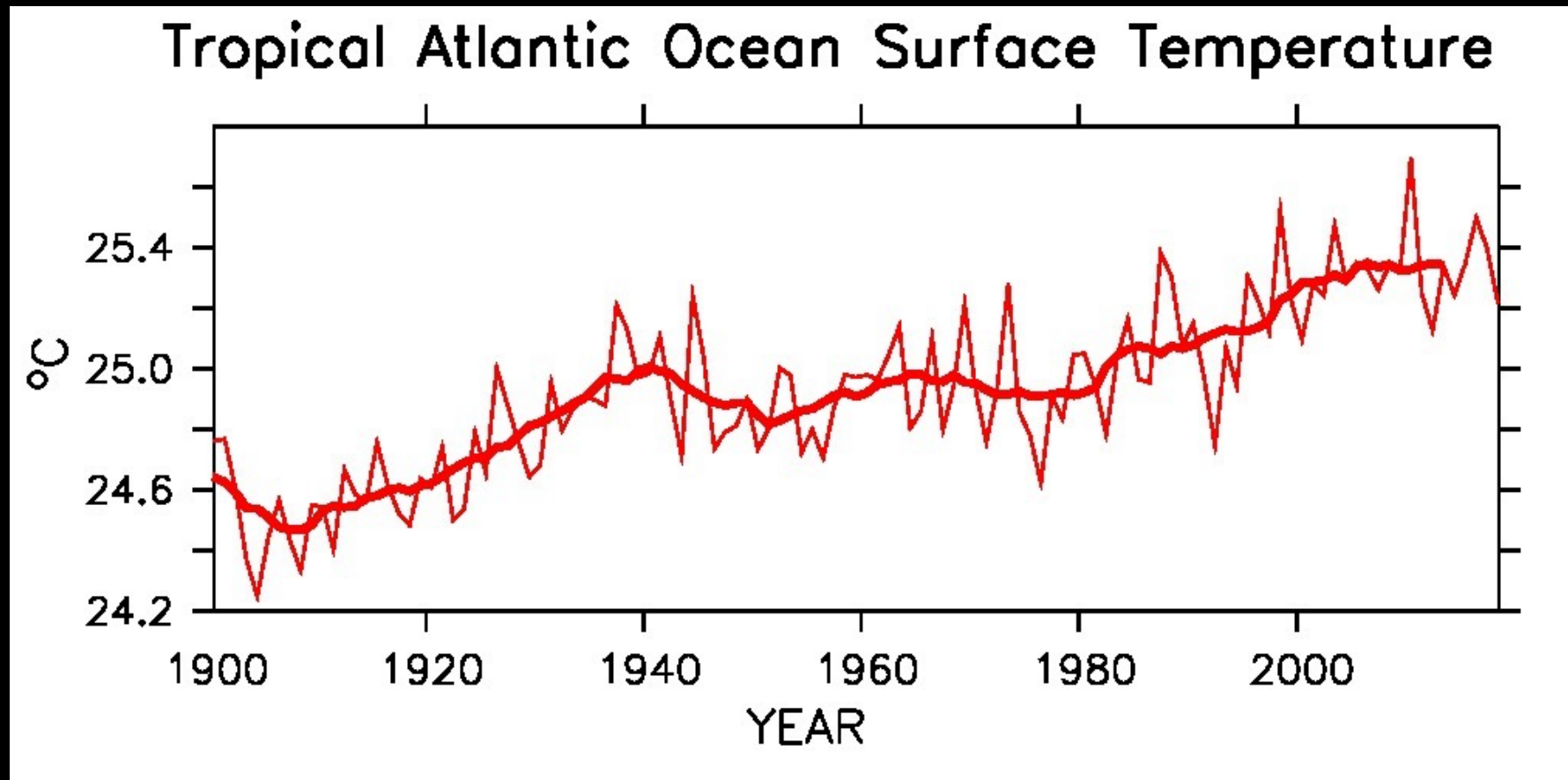
Global have warmed by around 1 degree since 1900

Tropical Atlantic and Indian Ocean have seen some of the strongest warming

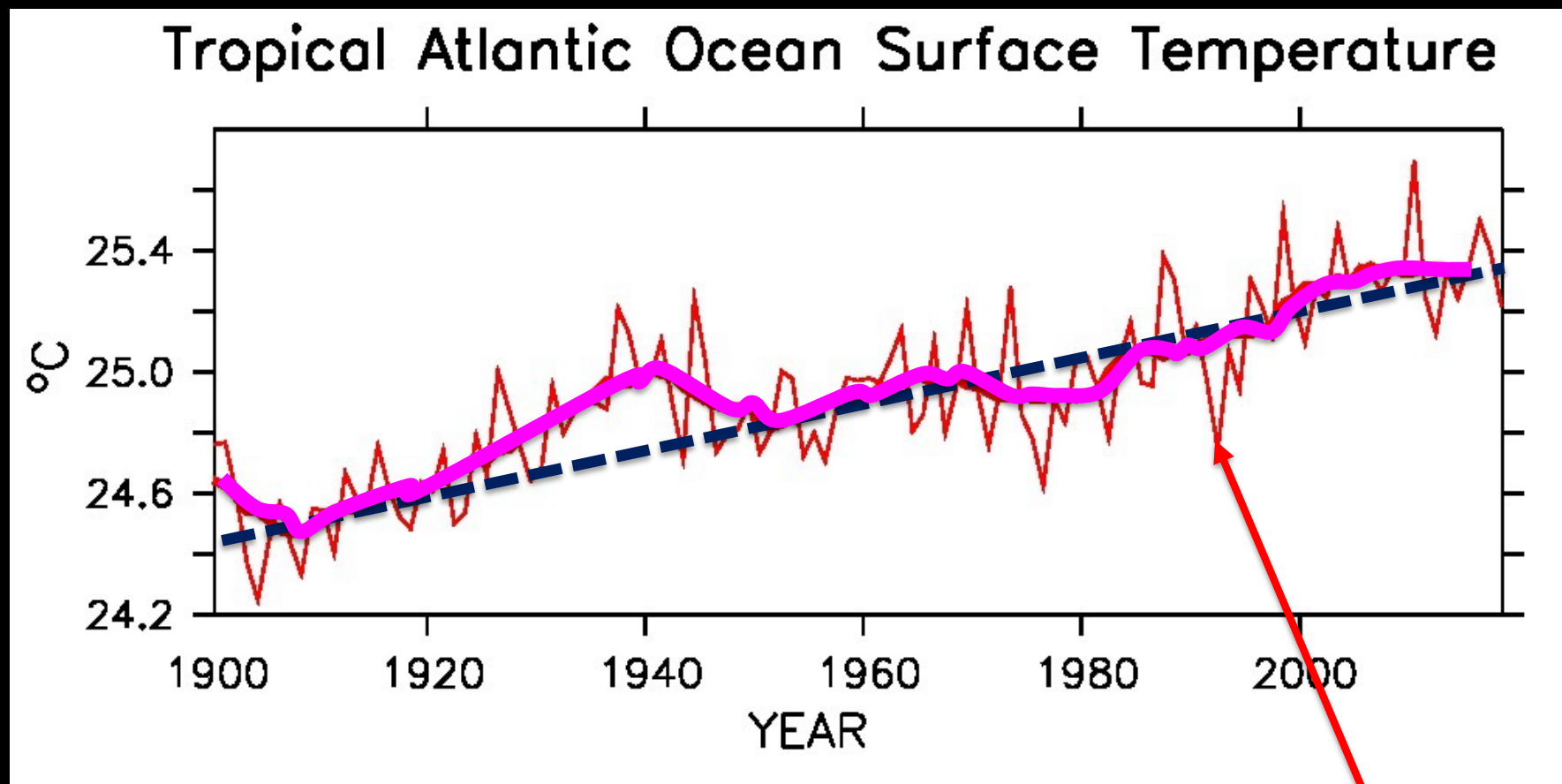
(a) Sea surf. temperature trend, 1900-2018 ($^{\circ}\text{C}/\text{century}$)



The long-term warming is superposed by variability



Causes of short and long-term changes in climate



Long-term trend
caused mainly by
global warming

Decade to decade changes
caused by both natural and
anthropogenic factors

Year to year fluctuations
caused by natural processes
in the climate system

Regional differences in surface temperature variability

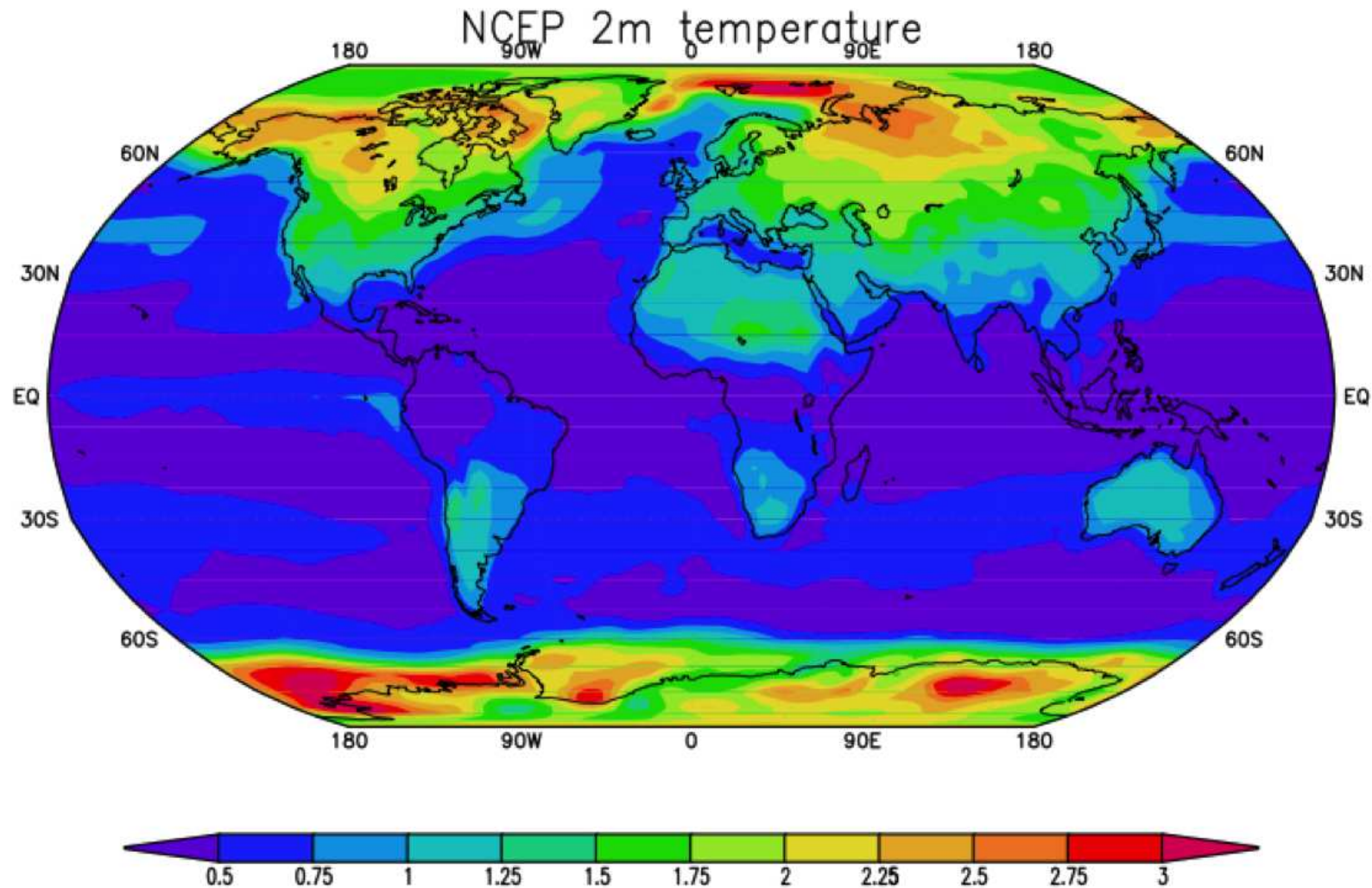
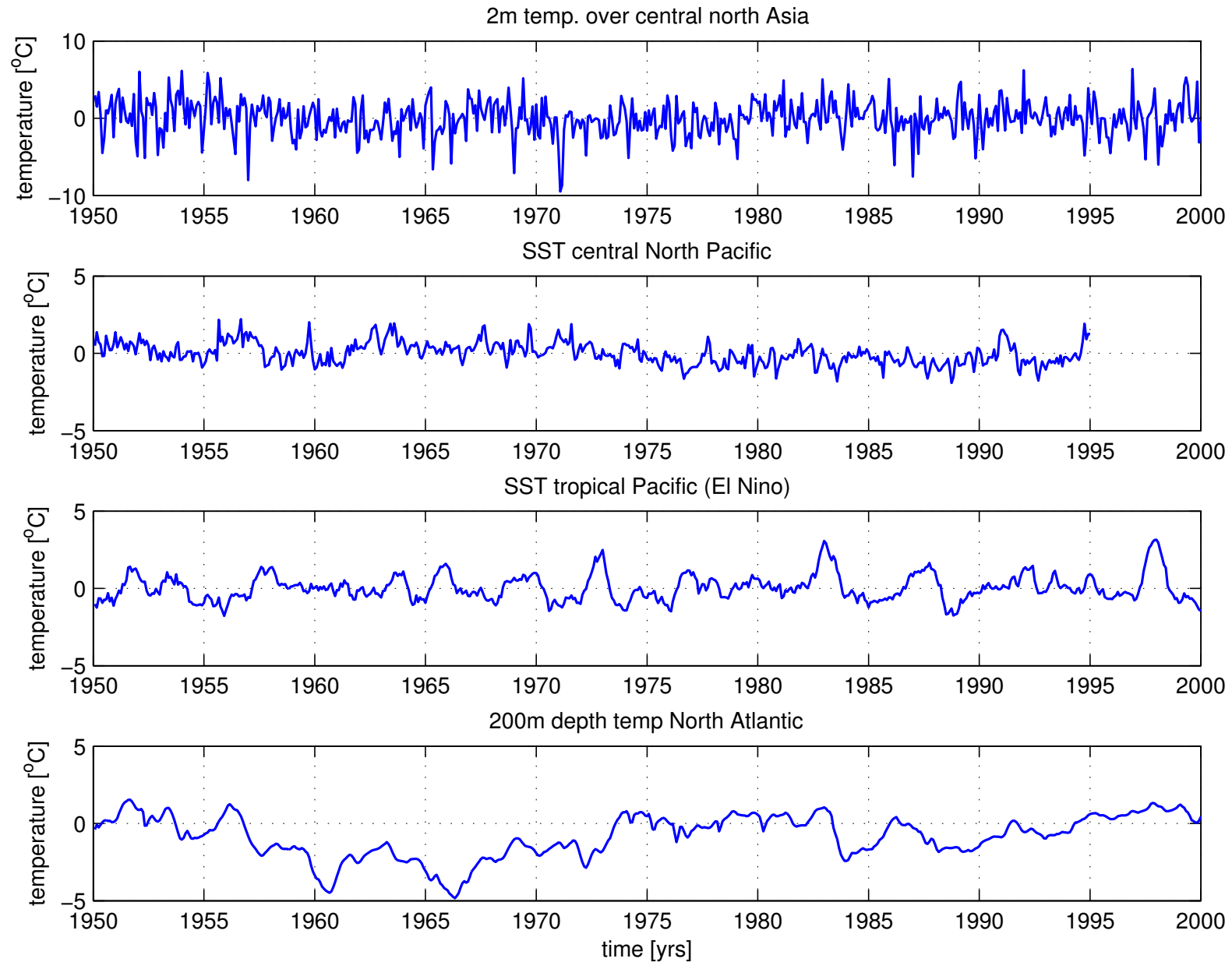


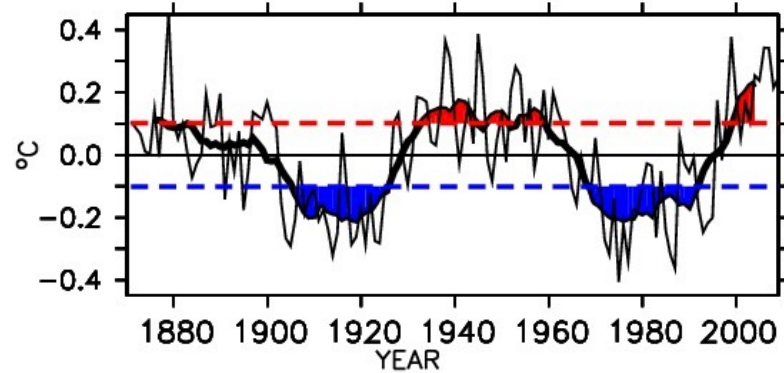
Figure 6.11: Surface temperature monthly mean standard deviation.

Different characteristics of land and ocean temperature

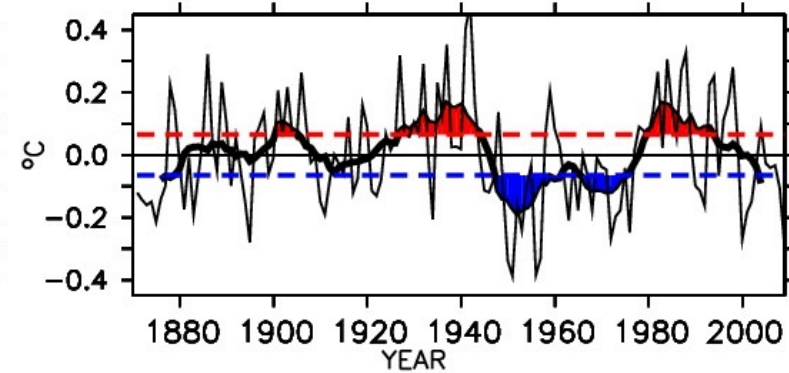


Observed internal decadal-to-multidecadal variability in the Atlantic and Pacific

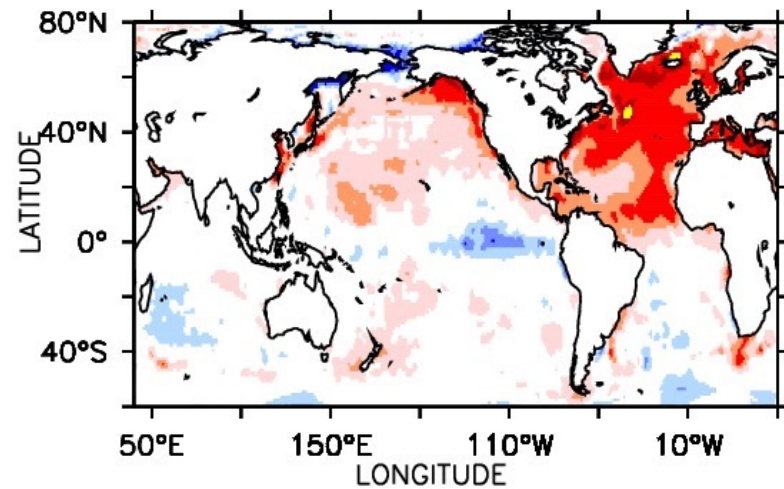
(A) Atlantic multidecadal variability index



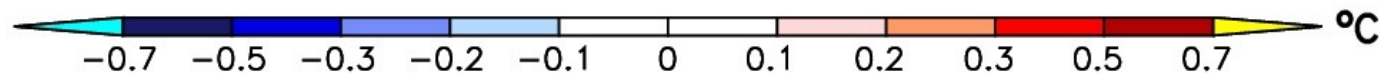
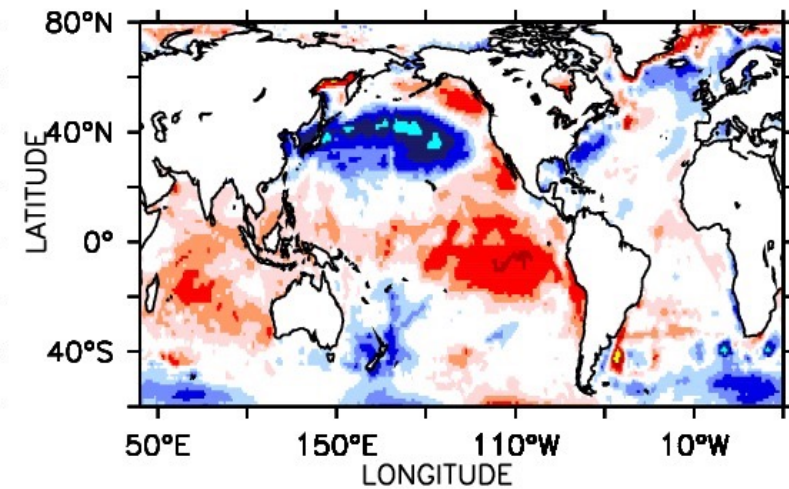
(C) Pacific decadal variability index



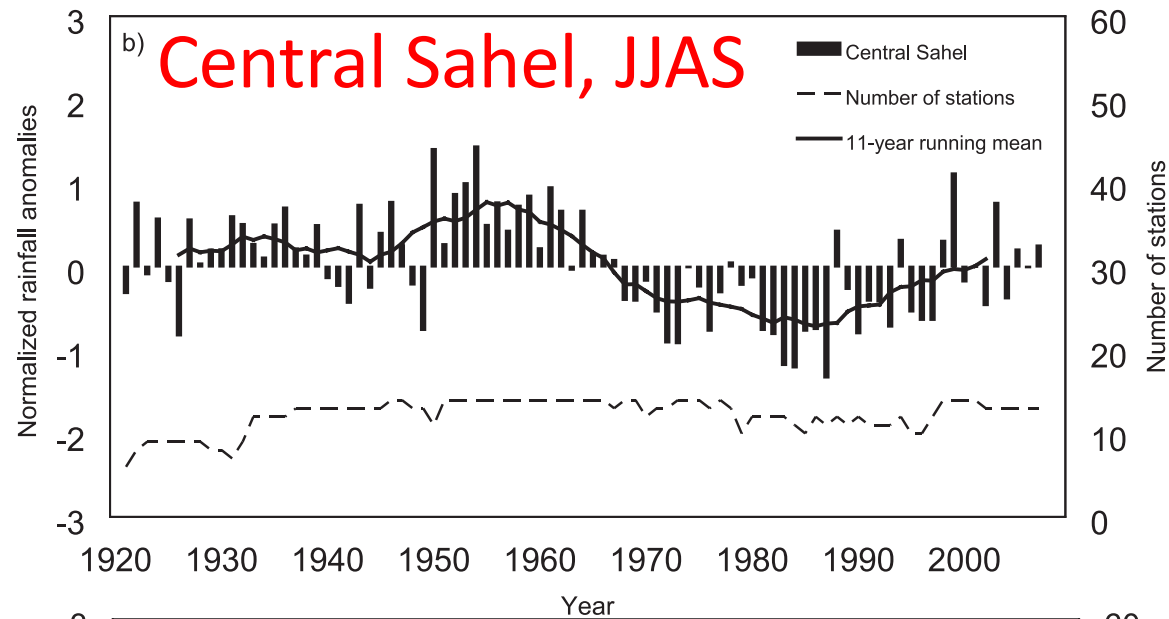
(B) Composite AMV SST pattern



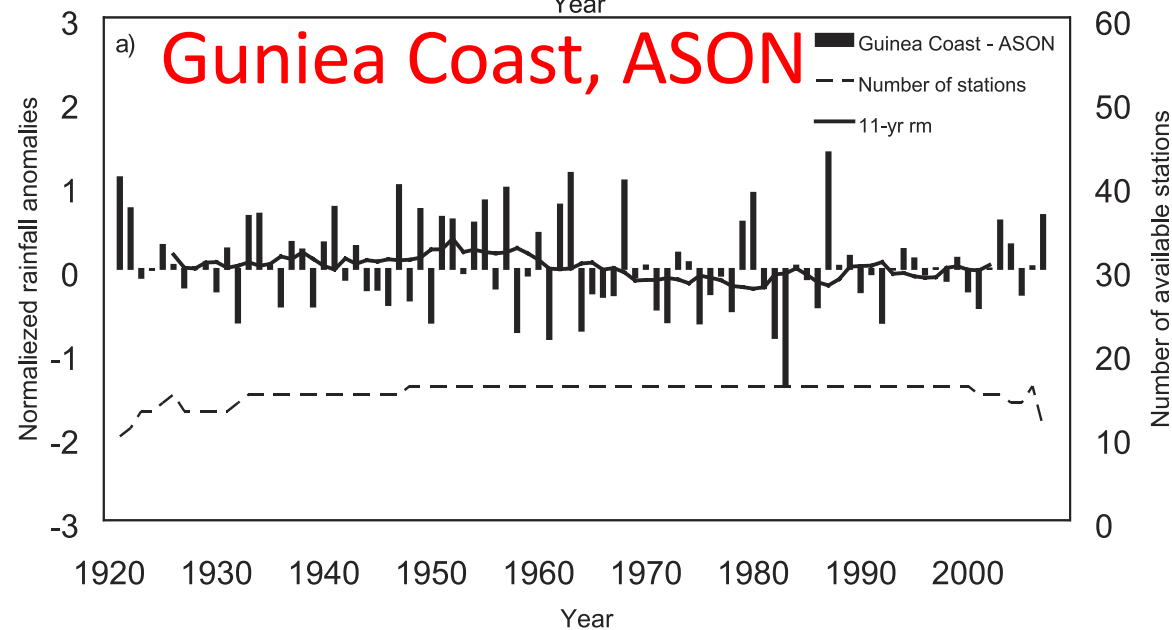
(D) Composite PDV SST pattern



Rainfall over Central Sahel and Guniea Coast



Linked to Atlantic
Multi-decadal
variability



Linked to Gulf of
Guinea SST

Fink et al. 2010

Stochastic climate models

Chaotic nature of the atmosphere

Weather forecasting limited to
14 days



[Lorenz 1963]

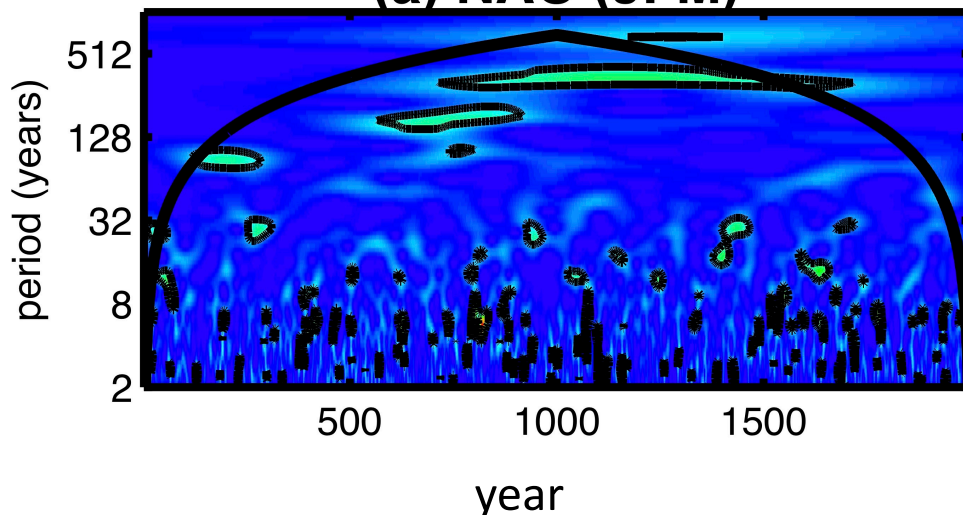
- Climate system is deterministic chaotic system (Lorenz model 1963)
- Non-linearity associated with convection and instabilities cause atmospheric variability to be chaotic
- For climate timescales this high-frequency weather type variability can be considered as stochastic noise

Stochastic uncoupled climate variability

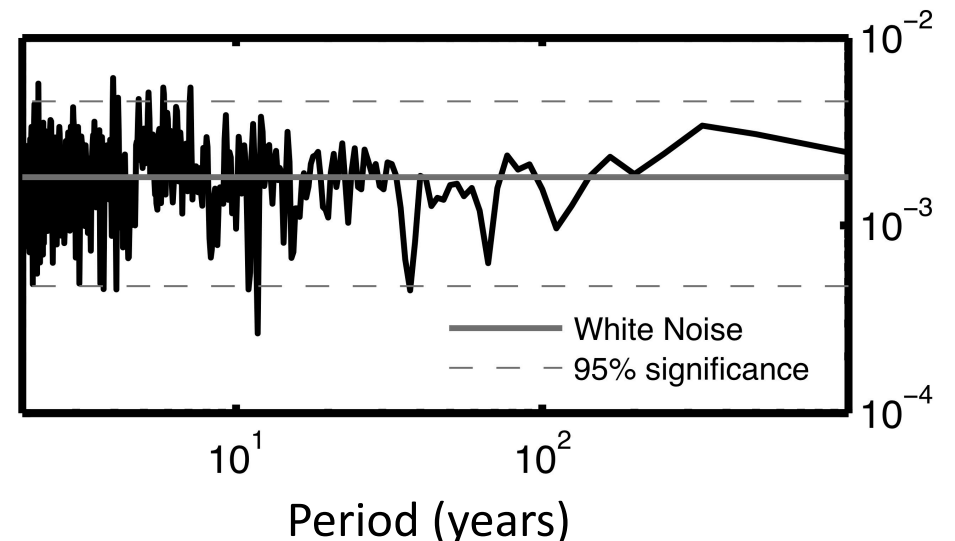
- Stochastic process has a white spectrum (i.e., an uncorrelated time series of normally distributed random values)
- By definition variability occurs on all time scales, and this can explain large-part of observed atmospheric climate variability

Wavelet

(a) NAO (JFM)



Power Spectrum



Stochastic climate model

The interaction between atmosphere and other components of the climate system can be conceptual separated into a fast unresolved stochastic process driving slow climate dynamics

$$\frac{dX(t)}{dt} = f_m(t) * \vec{A}[X(t)] + f_a(t)$$

$X(t)$ is the state vector (e.g., field of density, velocity, temperature etc)

\vec{A} are the dynamics (slow, e.g., SST, ice cover, vegetation)

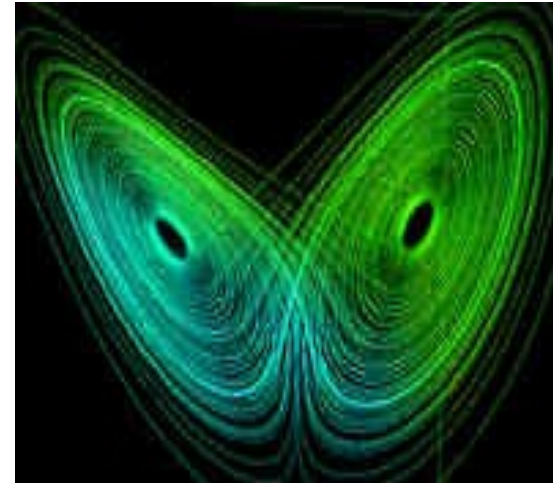
$f_m(t), f_a(t)$ are multiplicative and additive noise (fast, e.i., random/chaotic weather)

Simplest stochastic climate model

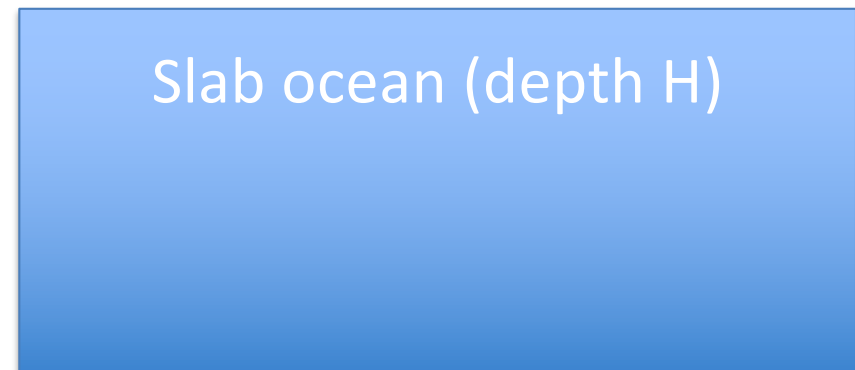
- Simplest assumption is that the atmosphere interacts with the ocean mixed layer, neglecting ocean dynamics:

$$\frac{\partial T}{\partial t} = \frac{Q_{net}}{\rho C_p H}$$

- Where H is the mixed layer depth



Thermodynamic coupling



Hasselmann (1976)

Heat-flux drives SST variations on short time scales in the extra-tropics

Correlation of DT/dt in winter with turbulent fluxes
Based on 2 month differences, COADS data

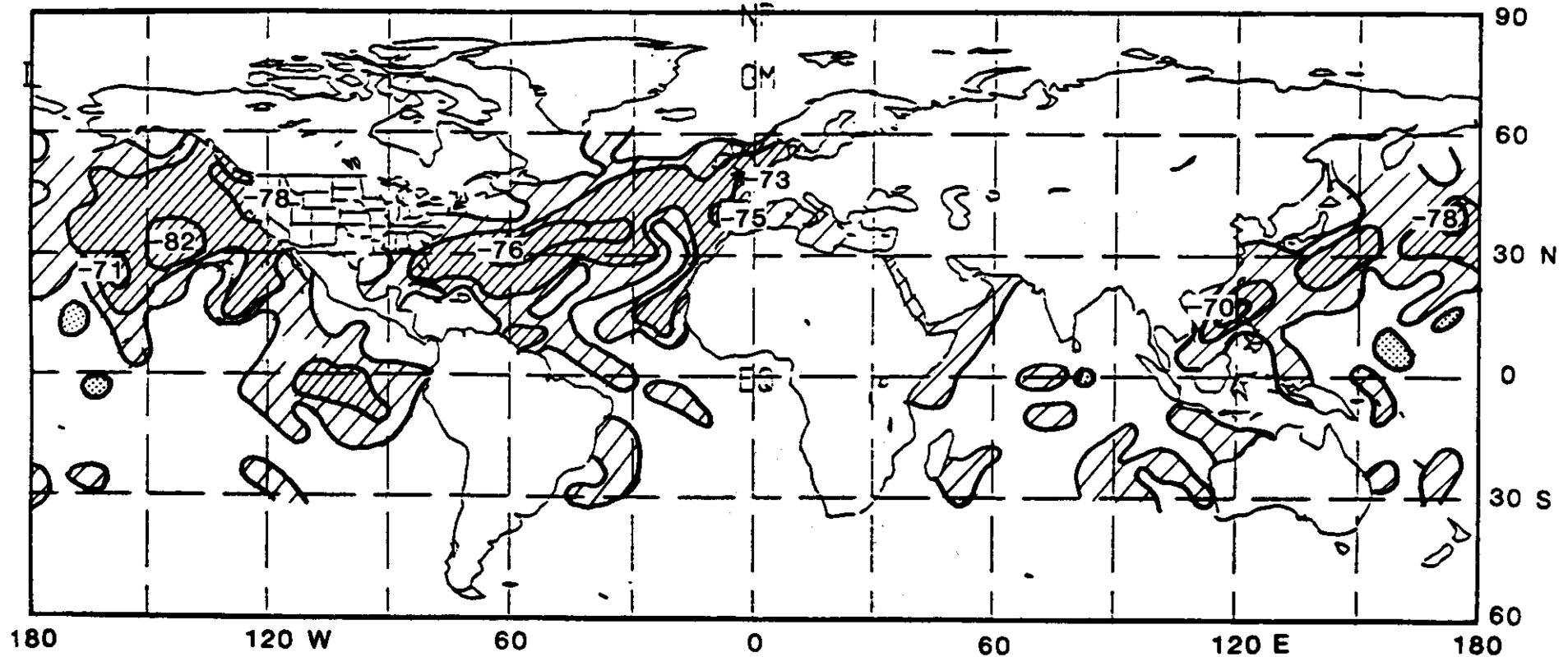


FIG. 2. Correlation coefficients ($\times 100$), mapped for global ocean F'_{t+} vs $\Delta SST'/\Delta t$ at each grid point, for winters 1946–86. Contours at 0, ± 0.3 , ± 0.5 , ± 0.7 . Light and heavy shading indicates correlations ≤ 0.3 and ≤ 0.5 . Hatching and stippling denote negative and positive correlations.

Cayan 1992

*The relation can change on longer timescales, e.g., Bjerknes 1964
(Rhys lecture tomorrow)*

Simplest stochastic climate model (Red-noise null hypothesis)

- Surface heat flux is assumed to be related to atmospheric variability. Assuming general form for turbulent fluxes, we can parameterize the heat flux as follows

$$Q_{net} = c_t(T_a - T), \quad c_t = \text{thermal heat transfer coefficient}$$

- From $\frac{\partial T}{\partial t} = \frac{Q_{net}}{\rho C_p H}$, we then get: $\frac{\partial T}{\partial t} = \frac{c_t(T_a - T)}{\rho C_p H}$

- Which has the general form

$$\frac{\partial T}{\partial t} = -cT + cT_a = -cT + f_a \quad \text{where } c = \frac{c_t}{\rho C_p H} = \text{constant}$$

(where we have represented the atmosphere by noise f_a)

Simplest stochastic climate model (Red-noise null hypothesis)

$$\frac{\partial T}{\partial t} = -cT + f_a$$

- The heat capacity of the ocean acts to damp the variability! Typical values of $c = 40Wm^{-2}K^{-1}$
- The equation represents a first order autoregressive process AR1 (red noise), this can be seen by discretizing: $T^{n+1} = \alpha T^n + f^n$

AR(1) - First order autoregressive process

- AR(1) processes in discretized form: $\mathbf{X}_t = \alpha_1 \mathbf{X}_{t-1} + \mathbf{Z}_t$

- The variance is given $Var(\mathbf{X}_t) = \frac{\sigma_z^2}{1 - \alpha_1^2}$

- Where $\alpha_1 = \rho_1$ is the lag 1 auto-correlation

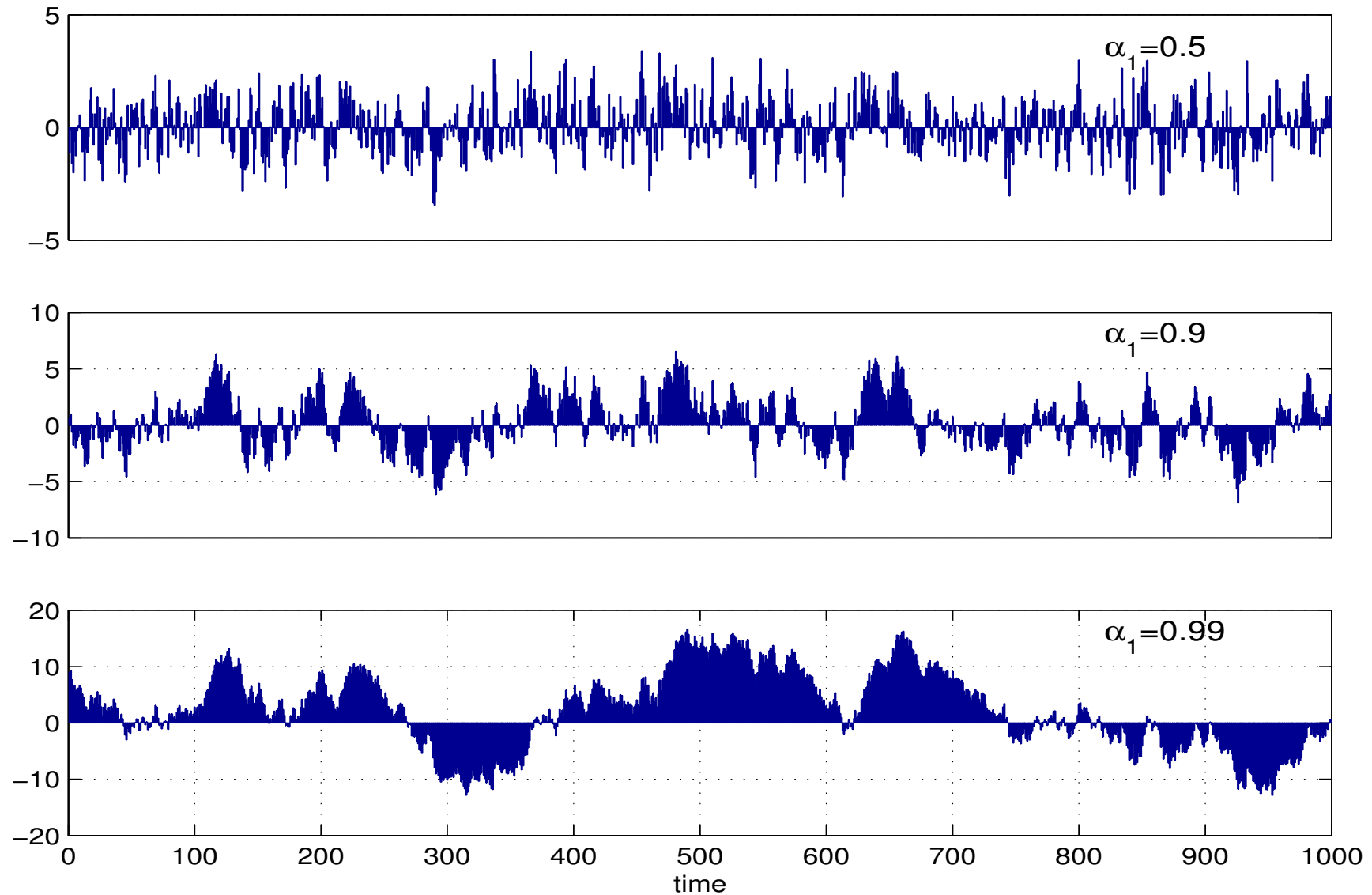
- To understand the case for the slab-ocean, we can put this into the alternate form:

$$\frac{dx(t)}{dt} = a_1 x(t) + z(t)$$

$$a_1 = \frac{\alpha_1 - 1}{\alpha_1}$$

- We can see because correlation is positive that the coefficient is negative and greater than -1, and the slab ocean damps the variability and integrates it!

AR(1) integrates the noise to produce low-frequency variability



Spectra of AR(1) processes

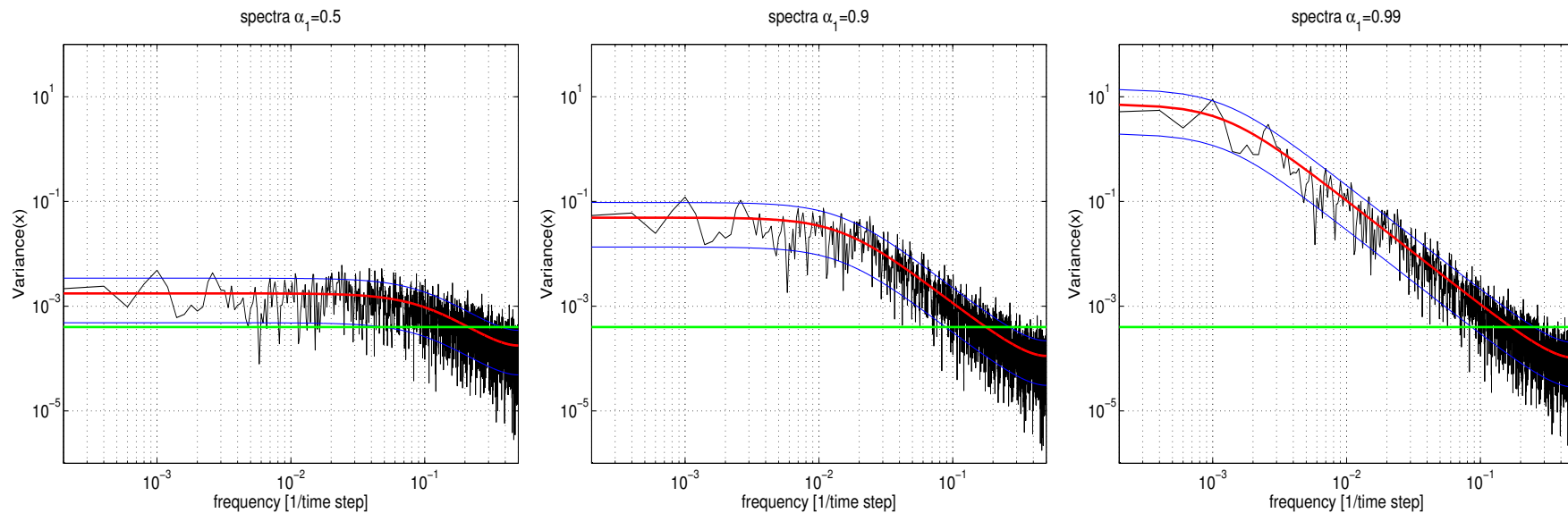
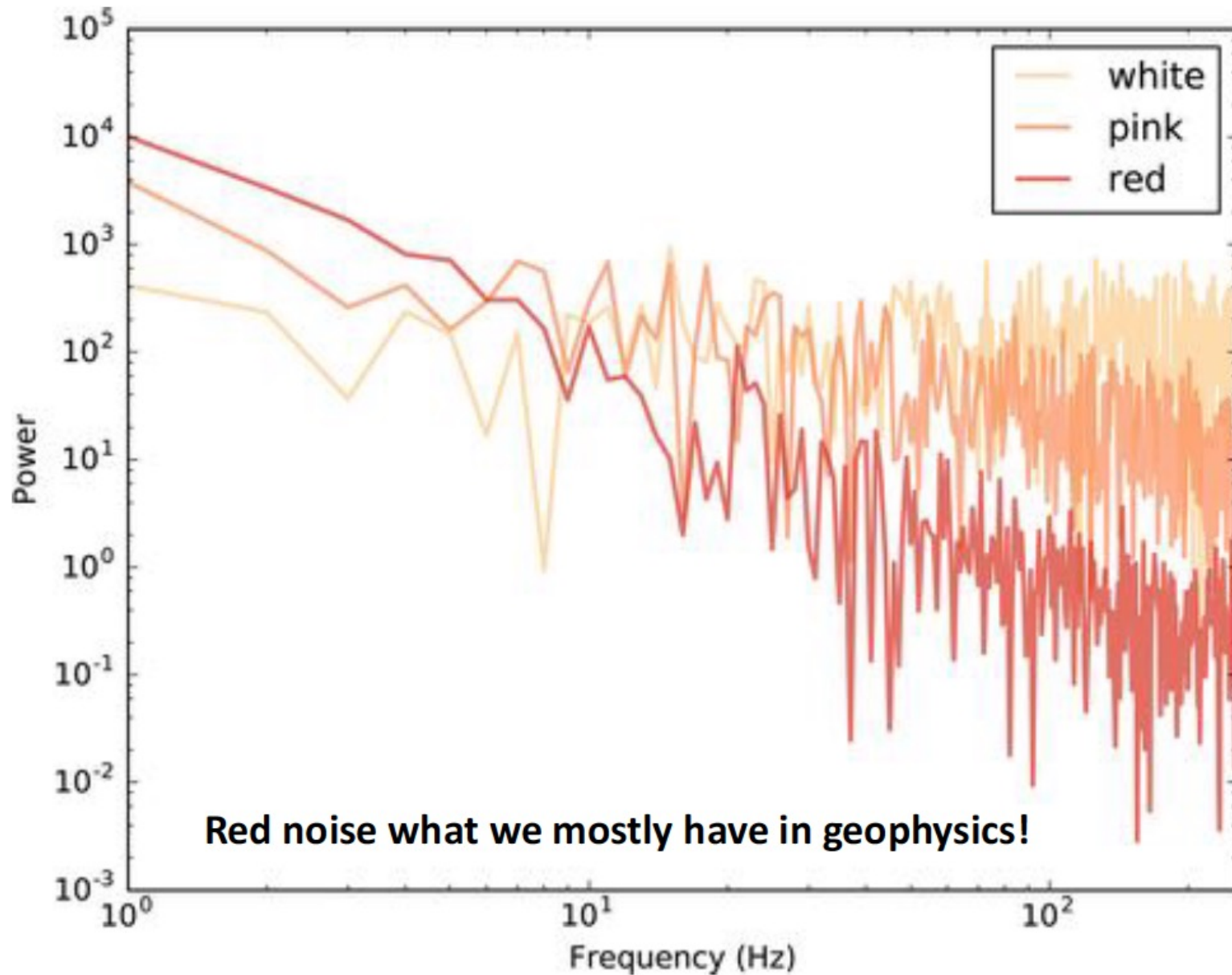


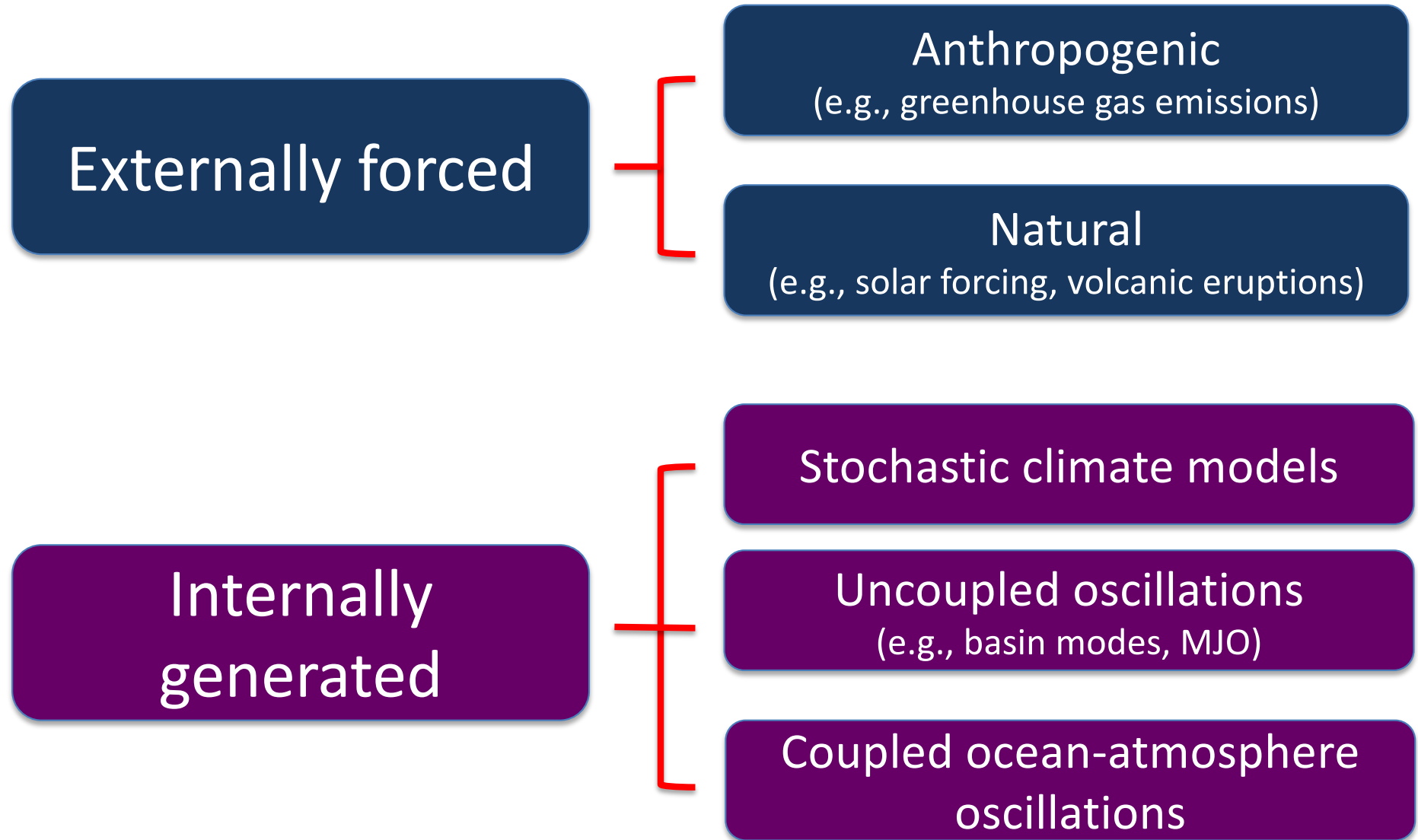
Figure 9.6: The spectra of AR(1) processes with different α_1 compared with the spectrum of the driving white process. The spectra correspond to the time series in Fig. 7.2.

White Noise vs. Red Noise



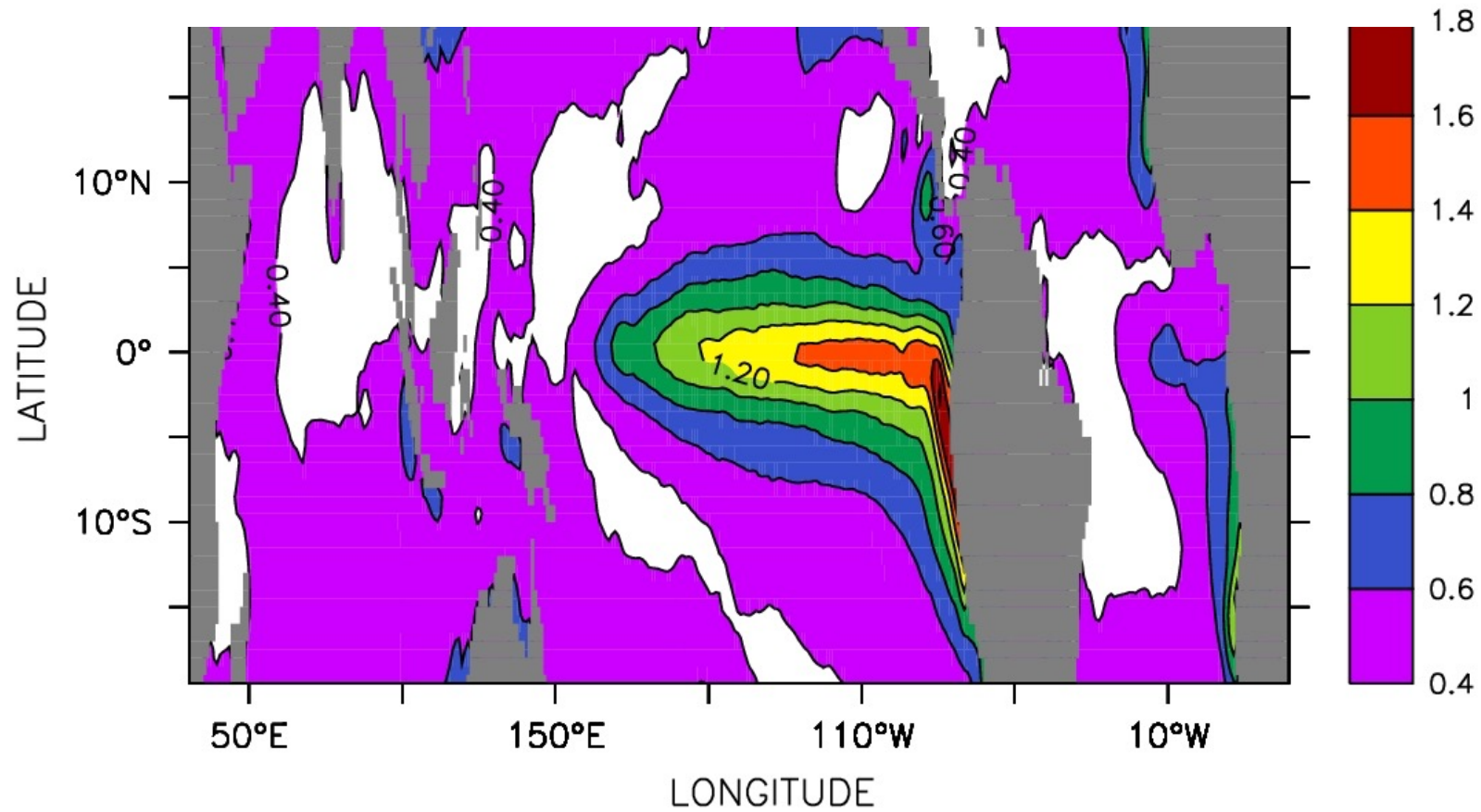
What causes climate to vary?

Mechanisms for climate variability



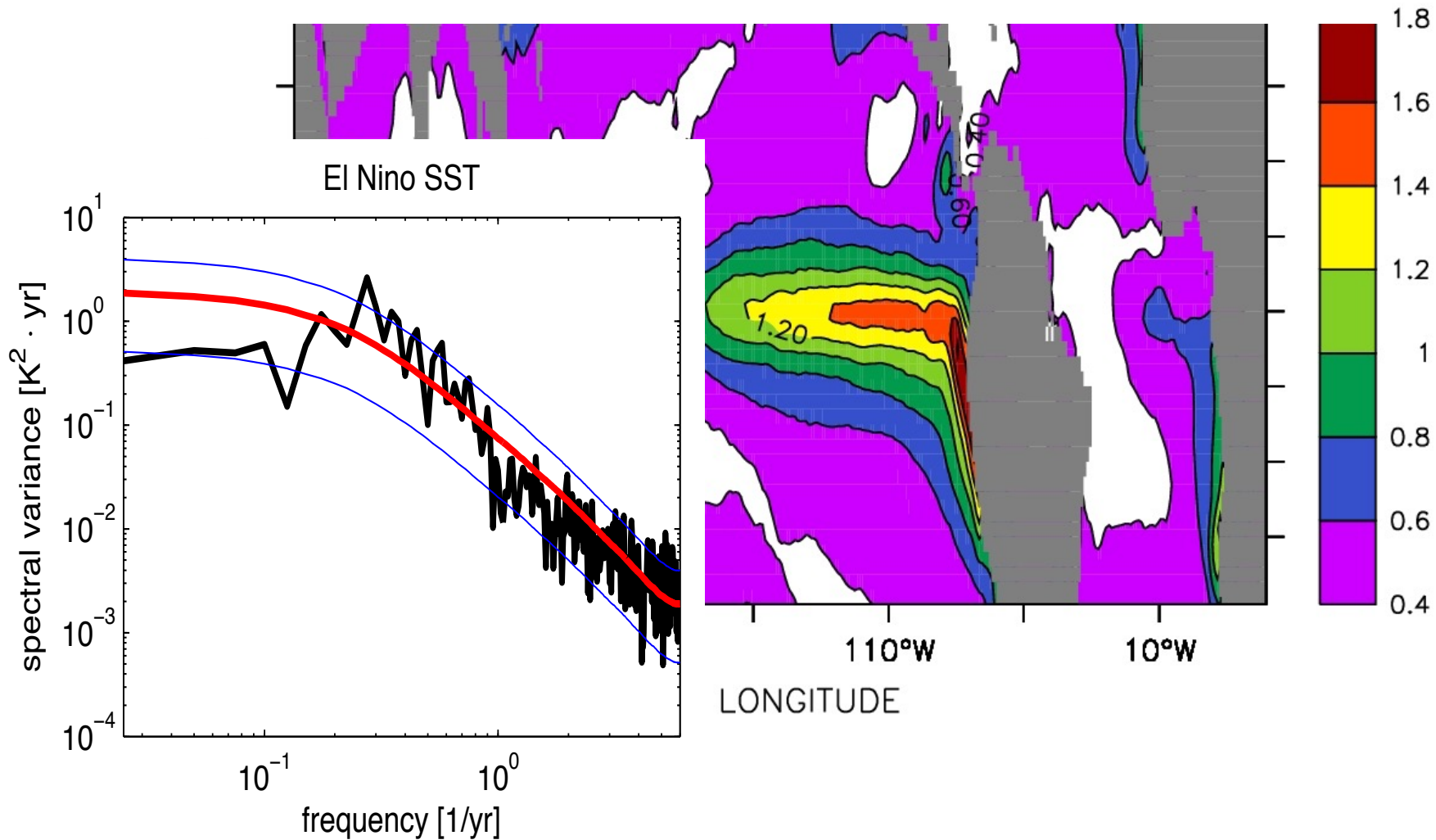
Standard deviation of SST anomalies

NOAA OI, 1982-2006 (K)

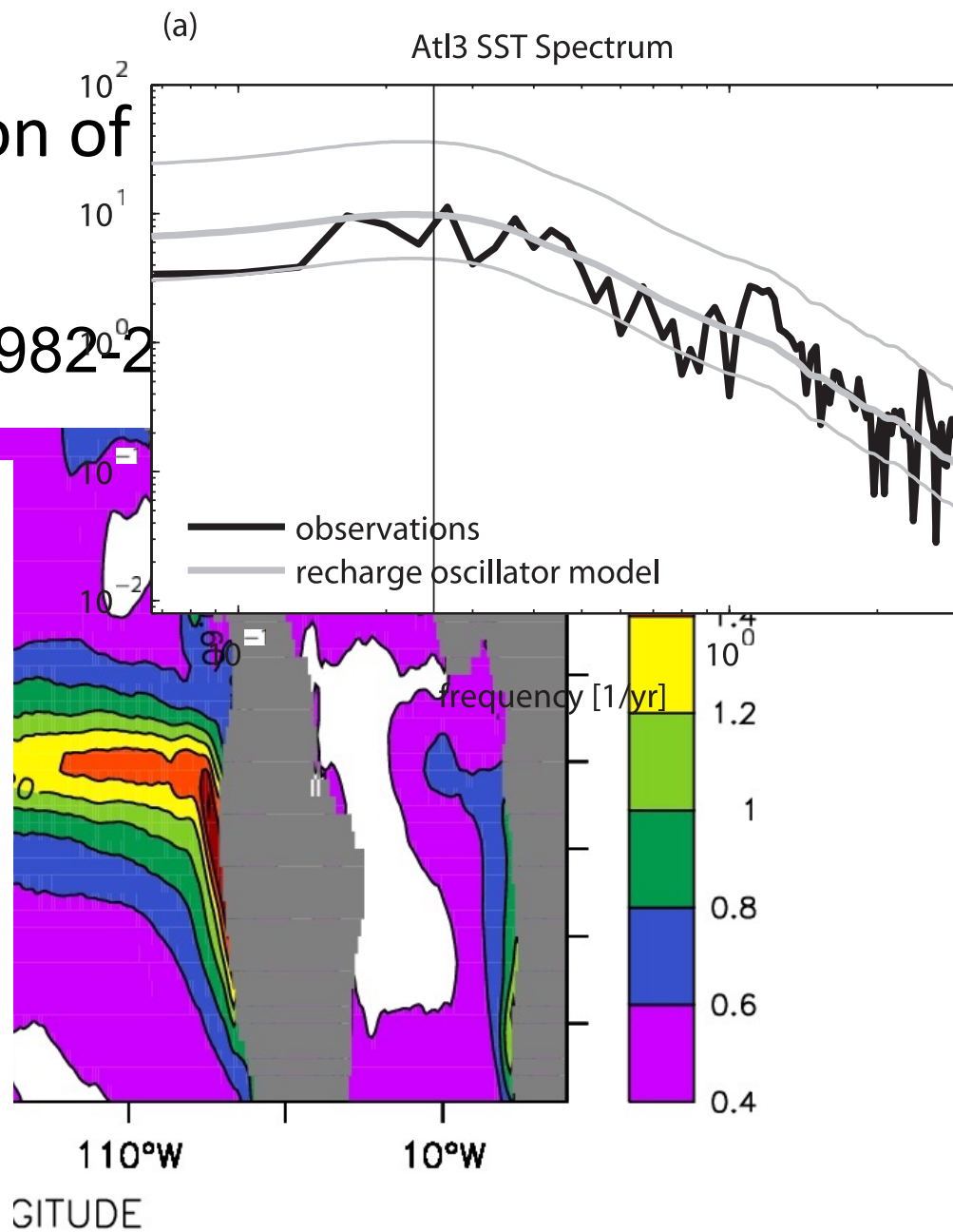
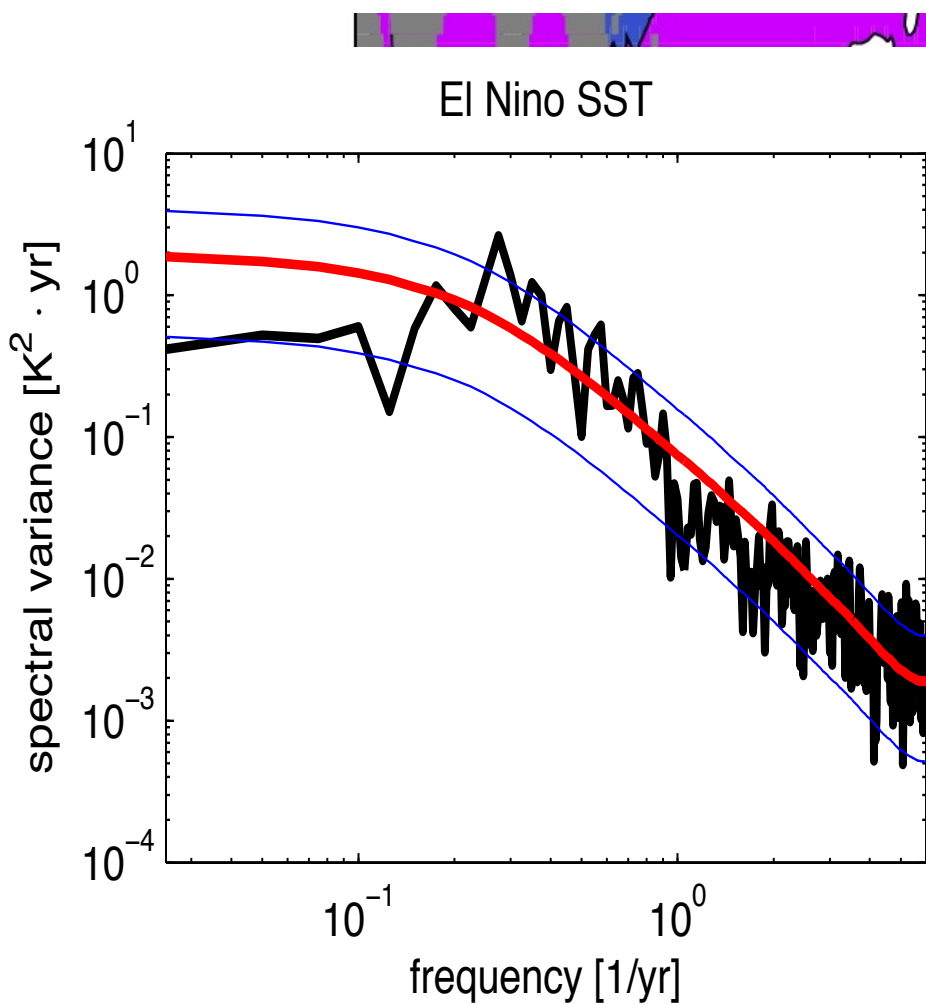


Standard deviation of SST anomalies

NOAA OI, 1982-2006 (K)



Standard deviation of NOAA OI, 1982-2002

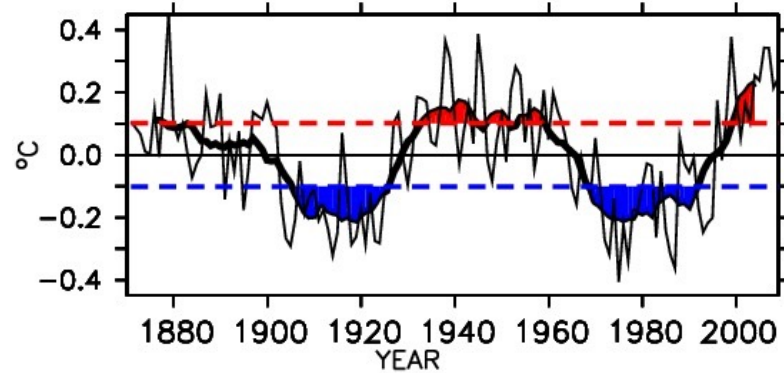


Causes decadal to multi-decadal climate variability are greatly debated

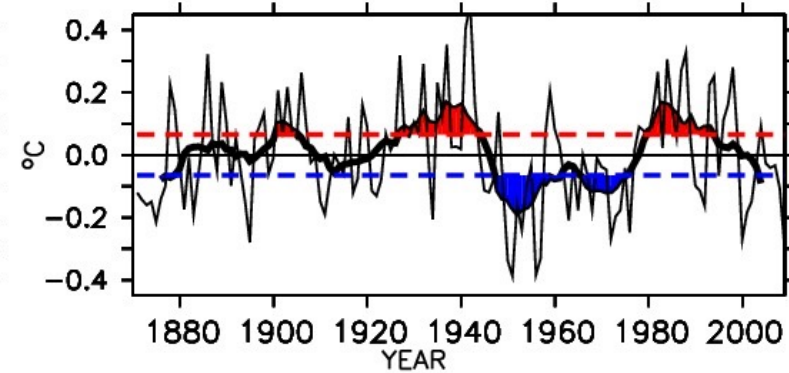
- Instrumental observational records are comparatively short
- Paleo proxy records show large uncertainties
- Model simulations show large uncertainties

Observed internal decadal-to-multidecadal variability in the Atlantic and Pacific

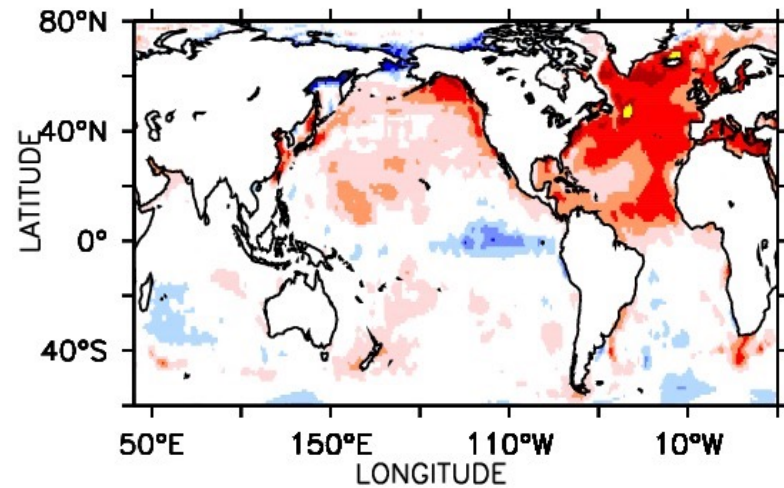
(A) Atlantic multidecadal variability index



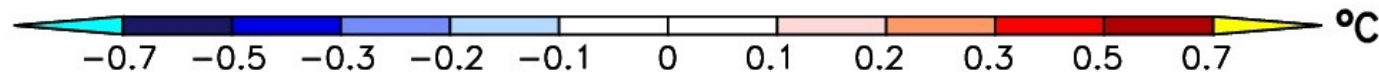
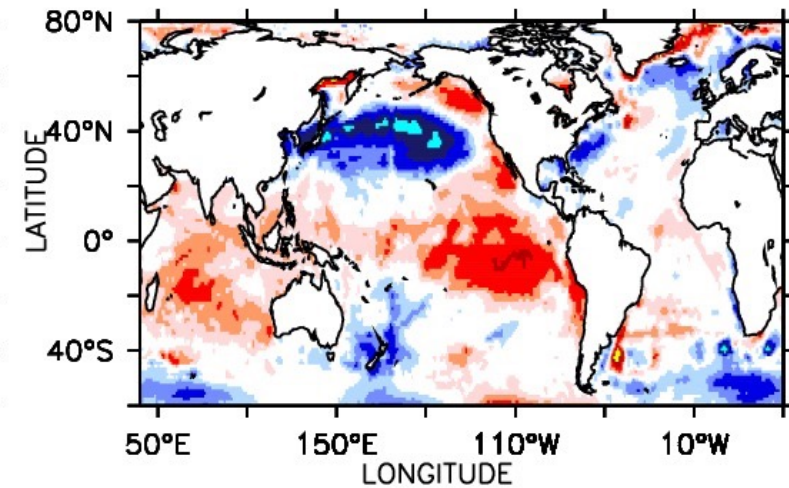
(C) Pacific decadal variability index



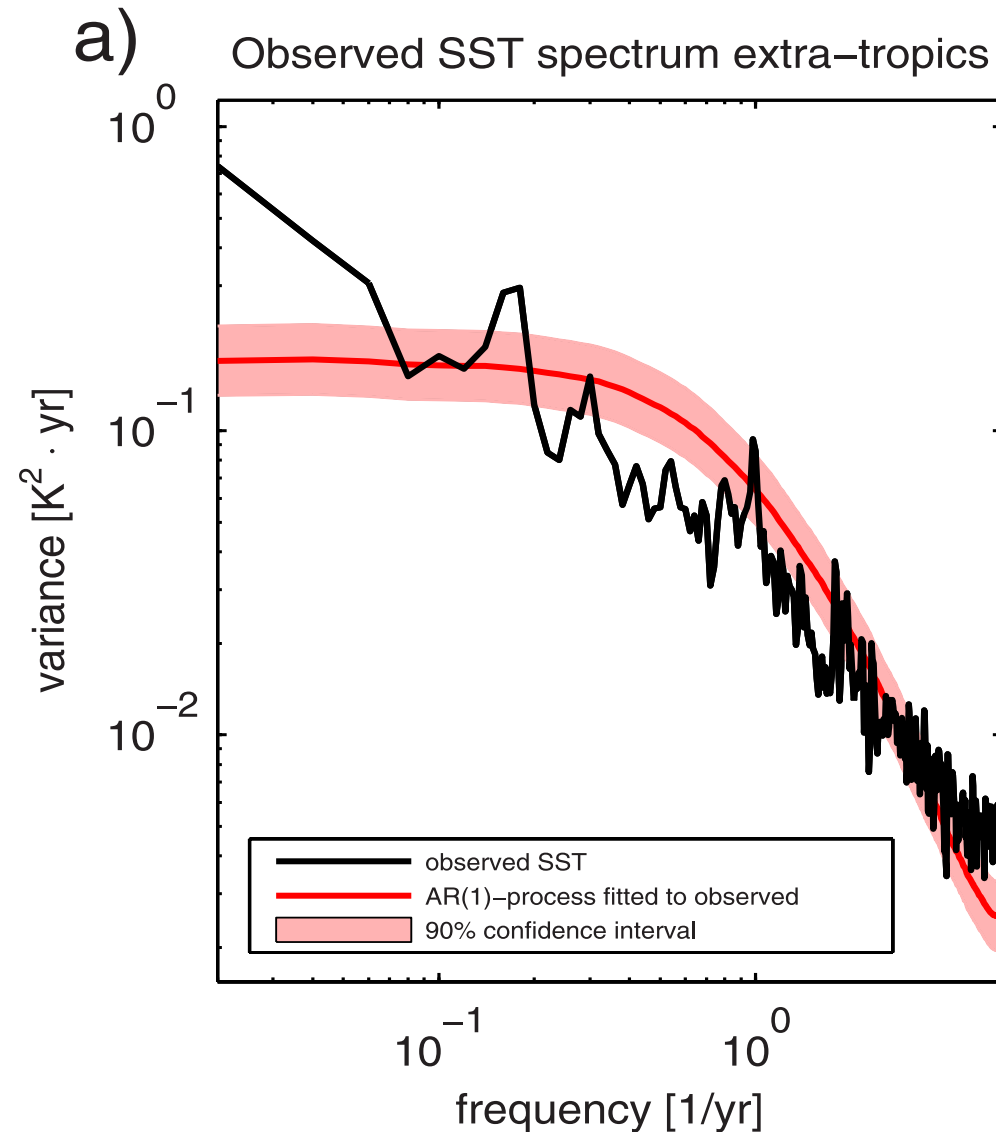
(B) Composite AMV SST pattern



(D) Composite PDV SST pattern



Spectrum of mid-latitude (30-55N) SST similar to AR-1 processes



Dommenget and Latif (2008)

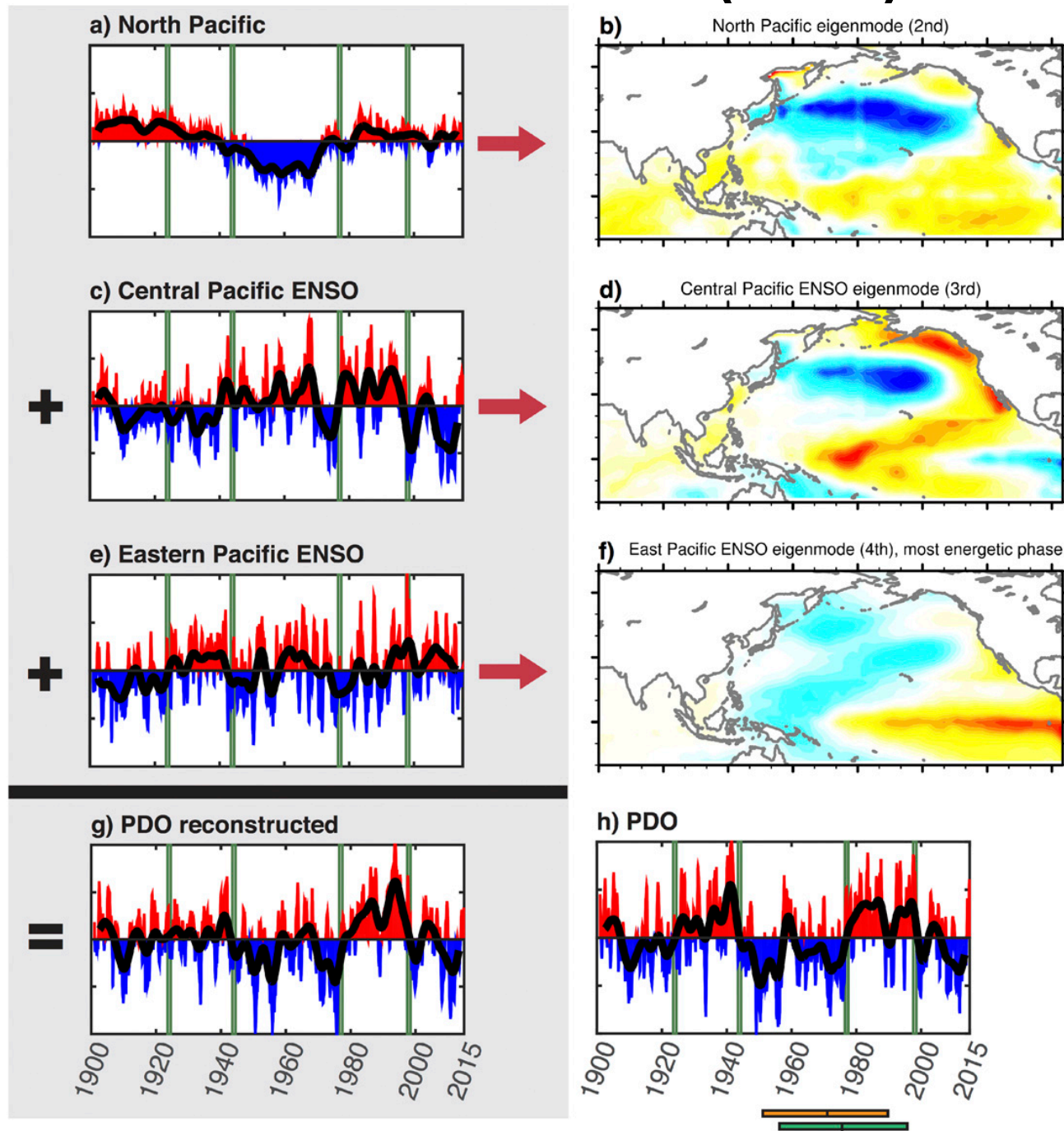
A more complete stochastic model: Linear Inverse Model (LIM) of the PDO

- LIM is a generalized form of the stochastic climate model:

$$\mathbf{x}(n) = \mathbf{G}\mathbf{x}(n - 1) + \boldsymbol{\eta}_s,$$

- \mathbf{x} is multi-variate vector
- $\boldsymbol{\eta}$ is stochastic forcing
- \mathbf{G} is a linear operator capturing the dynamics of the system, and can represent the process described above:
 - Local impacts, local ocean dynamics, re-emergence mechanism, remote teleconnections
- Eigen vectors of \mathbf{G} describe the dynamics, each one can be considered as stochastic mode with its own damping timescale

Linear Inverse Model (LIM) of the PDO



Summary View

MECHANICS OF THE PACIFIC DECADAL OSCILLATION

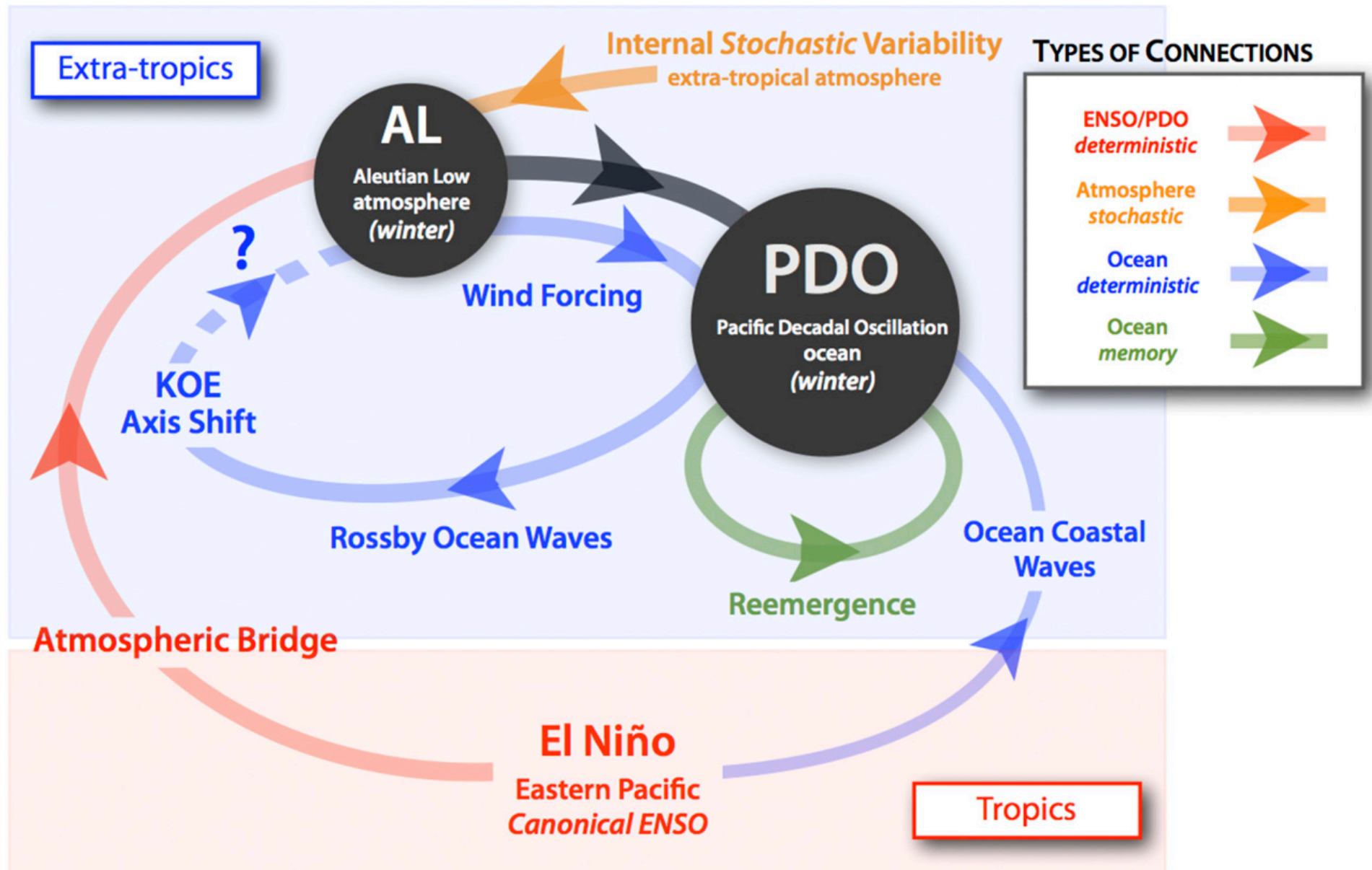


FIG. 14. Summary figure of the basic processes involved in the PDO.

Extended stochastic climate model with one column ocean

- We can extend the model to include vertical mixing with the deep ocean, and this gives a more realistic representation of the spectra

$$\gamma_{surf} \frac{dT_{surf}}{dt} = -cT_{surf} + \kappa_z \nabla_z^2 T_{ocean} + \xi_{surf}$$

γ_{surf} = surface layer heat capacity

T_{surf} = surface layer temperature

c = damping by interaction with atmosphere

κ_z = vertical diffusivity coefficient

T_{ocean} = temperature of ocean

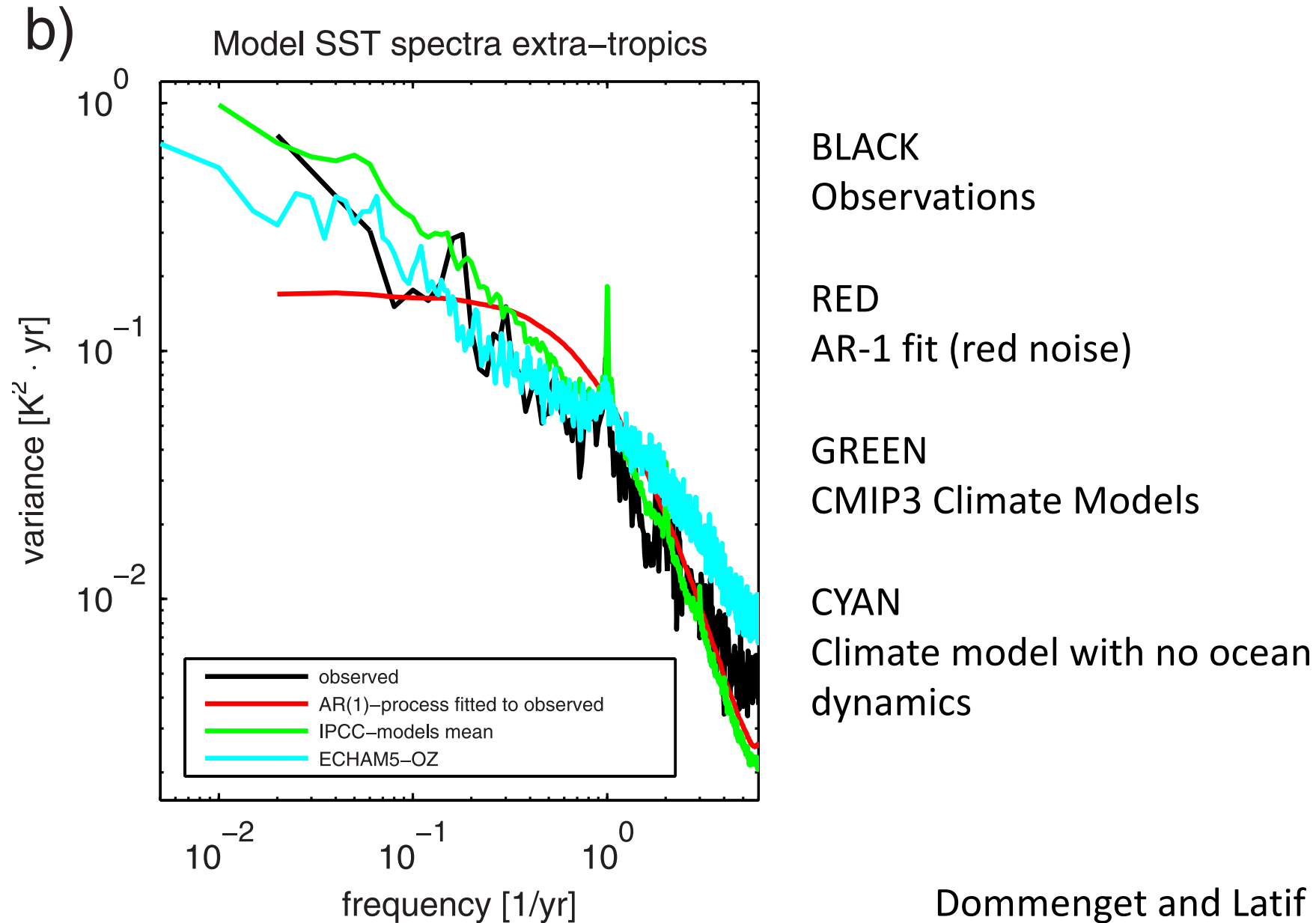
ξ_{surf} = surface forcing

$$\gamma_{surf} = H \cdot c_p$$

H = surface layer thickness

c_p = heat capacity of layer per m^3

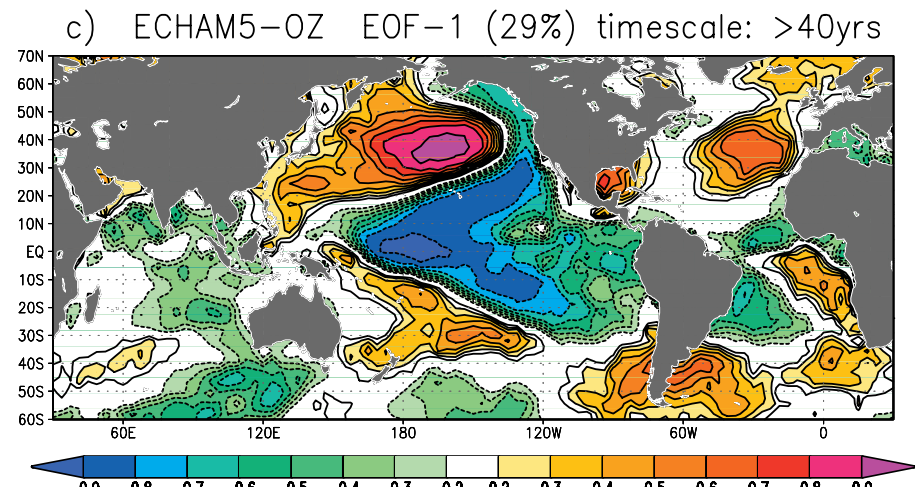
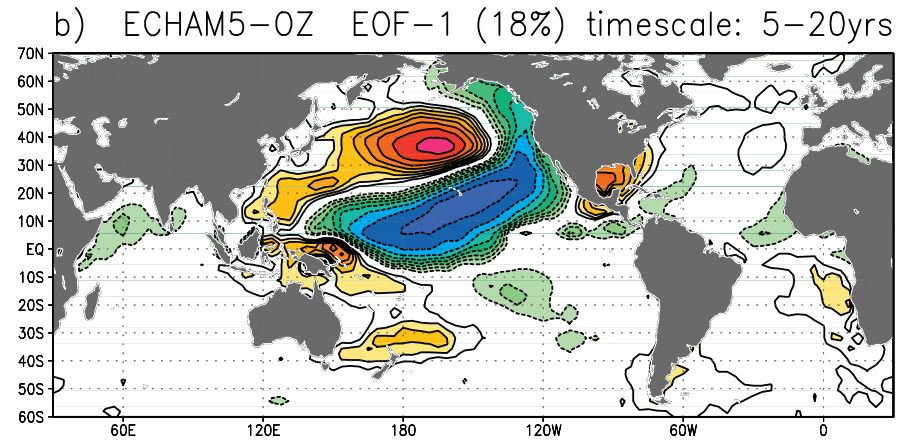
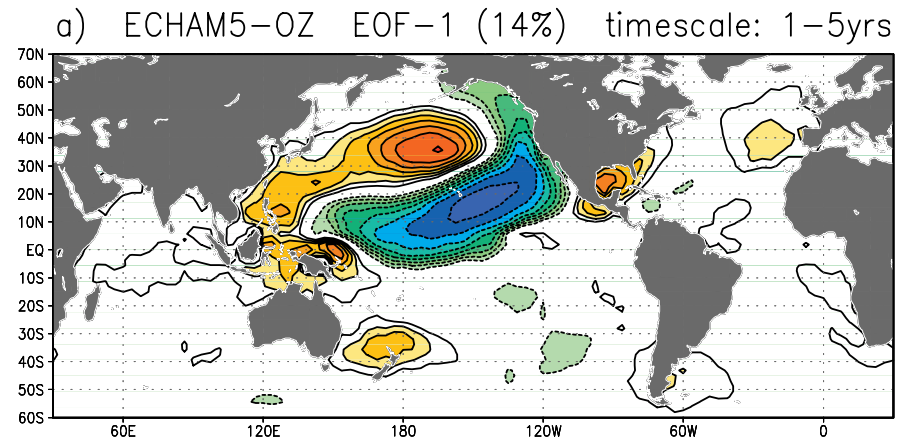
Mid-latitude (30-55N) SST variability in climate models consistent with stochastic climate model



Dommenget and Latif (2008)

Extend one-column ocean stochastic climate model

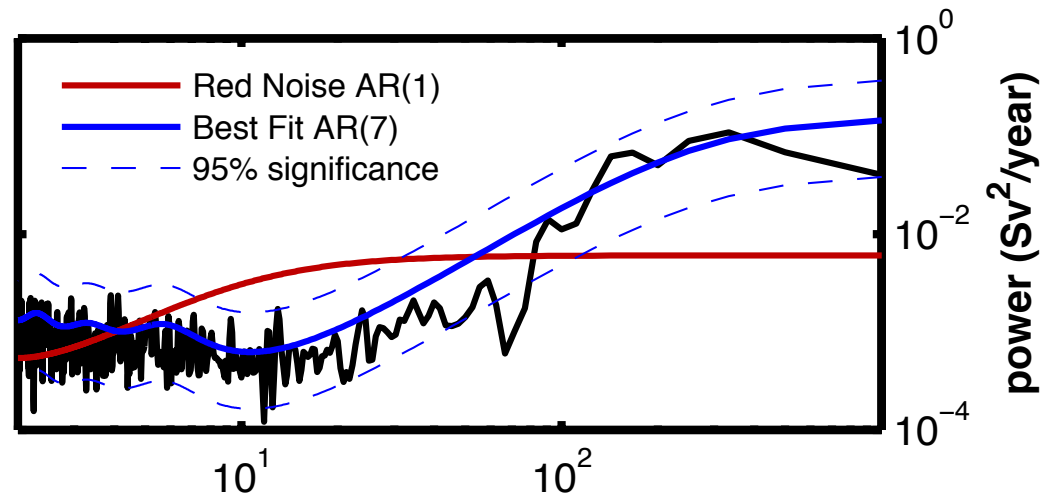
- Captures spatial patterns well
- Spatial structure increases with timescale
- This is because of atmospheric teleconnections



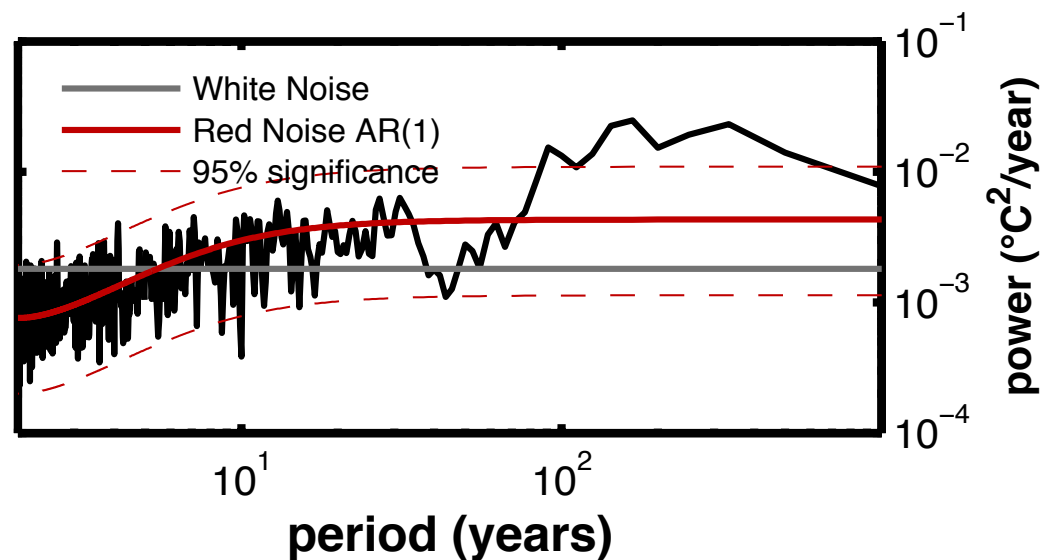
Extended stochastic climate model:
Ocean driven by stochastic atmospheric variability (Mecking et al. 2013)

Results from an 1000 year ocean model simulation driven by stochastic
NAO forcing – power spectrum

North Atlantic Ocean
circulation

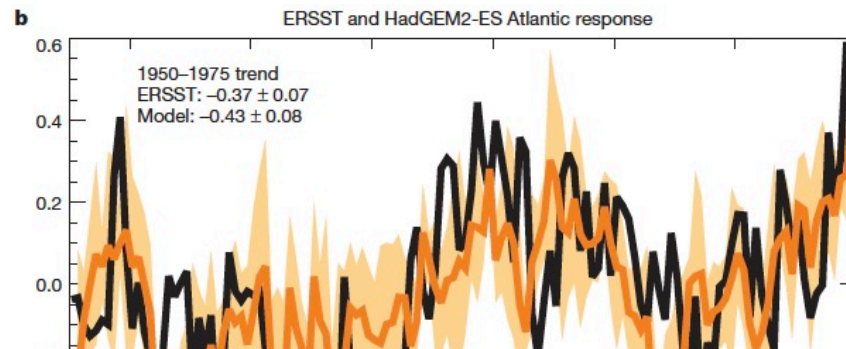


North Atlantic Sea Surface
Temperature

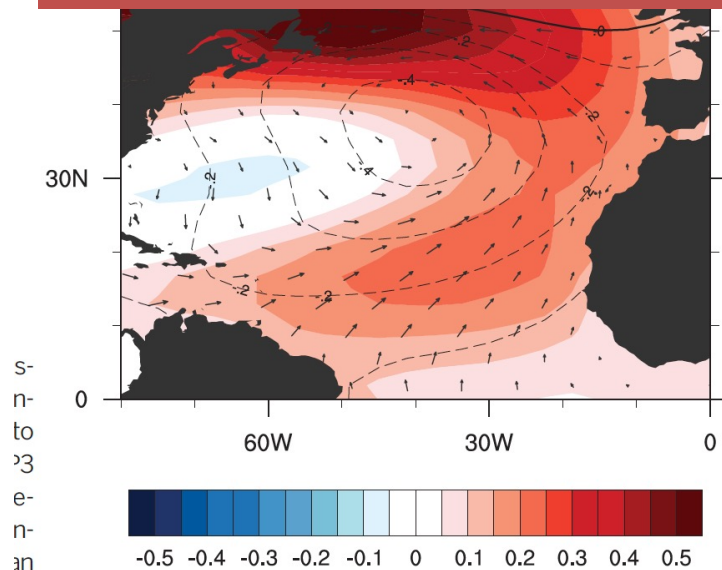


Atlantic multi-decadal variability: Stochastic, external forced, ocean dynamics?

External forced climate models reproduce the observed AMV
Otterå et al. 2010, Booth et al. 2012



But, ocean dynamics shown to be important in driving the extra-tropical SST (e.g. Zhang et al. 2016)

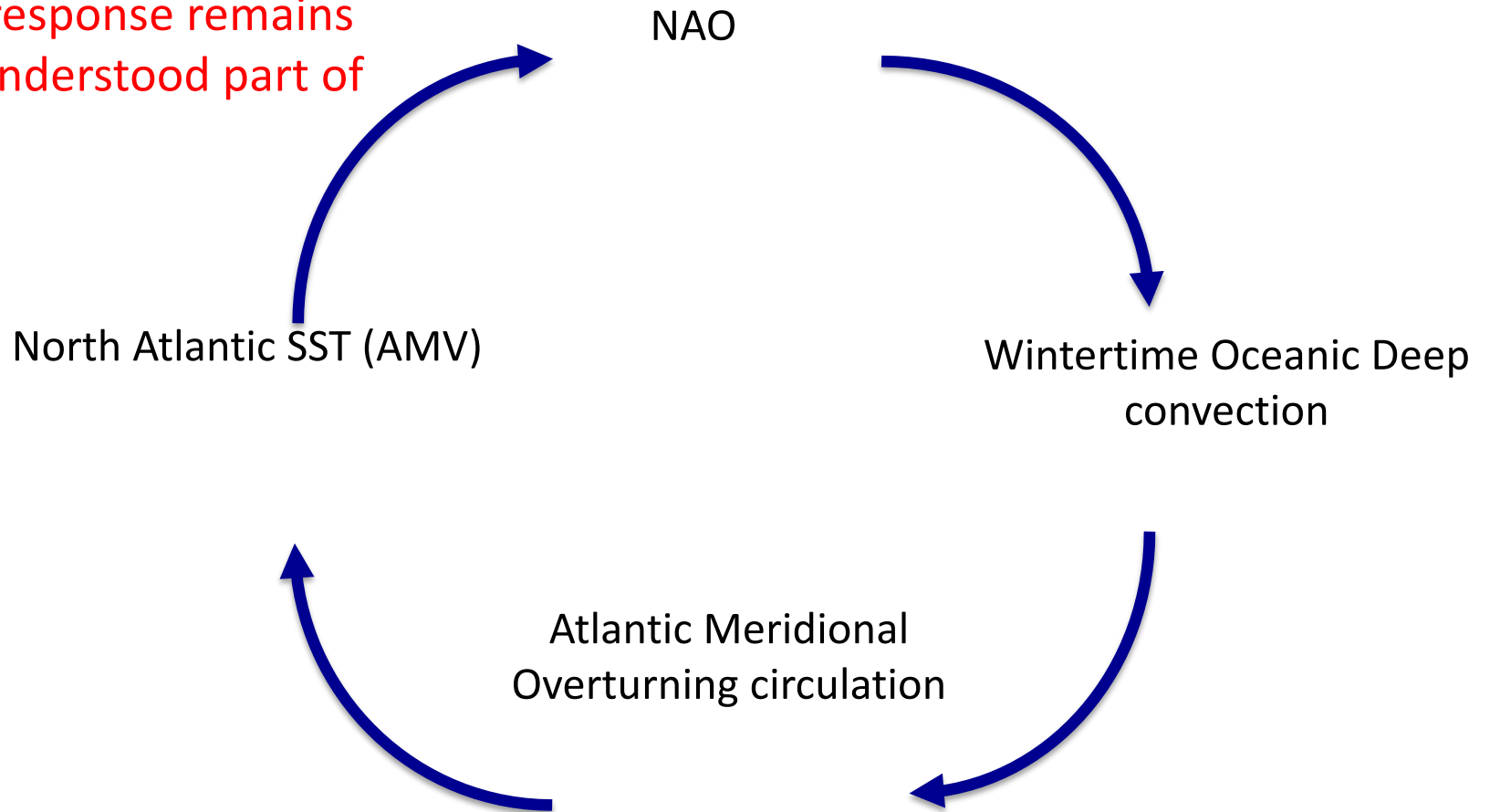


Atmosphere-slab ocean models reproduce the pattern,
Clement et al, 2015

Coupled perspective for Atlantic multi-decadal variability

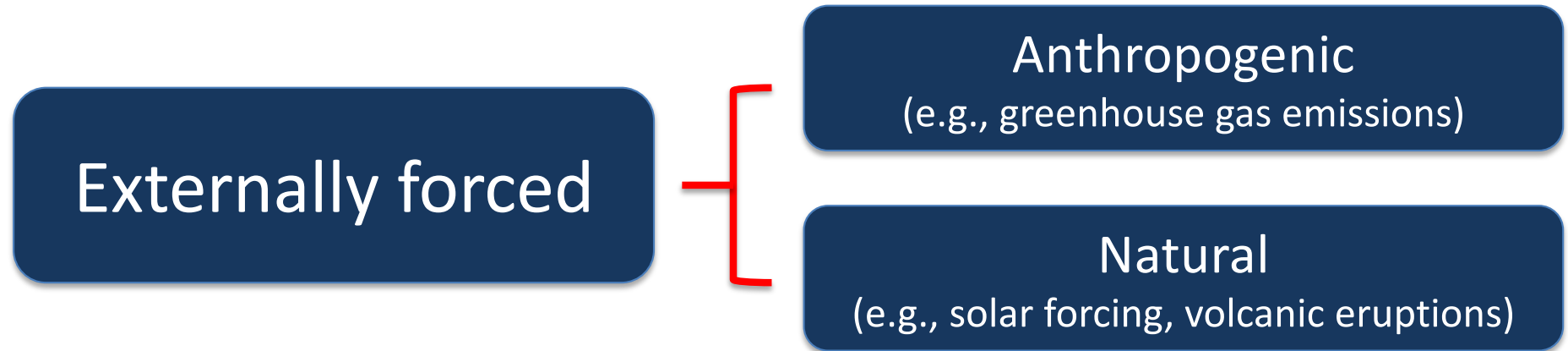
1. Understanding of ocean-atmosphere interaction

Atmospheric response remains most poorly understood part of the loop

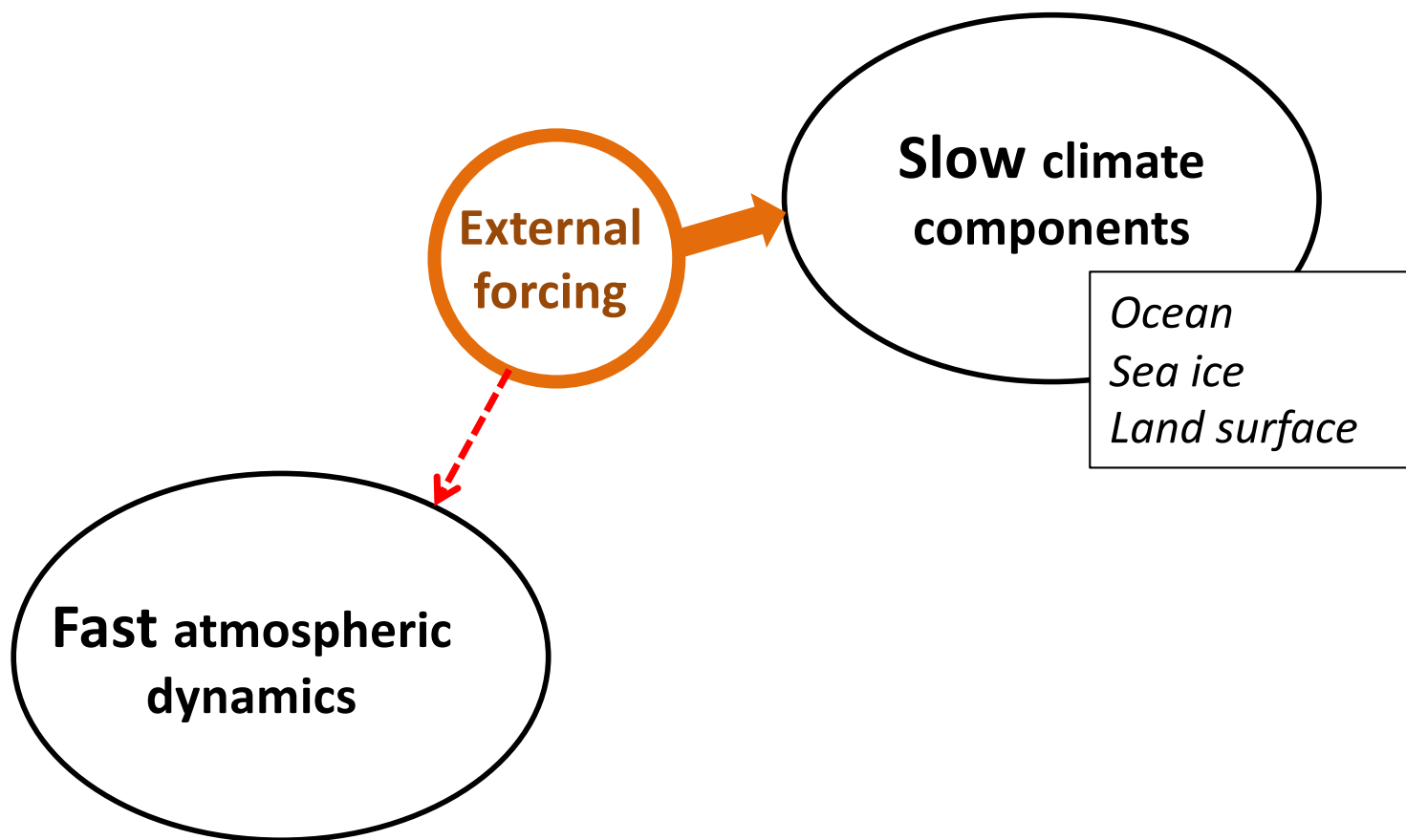


Summary

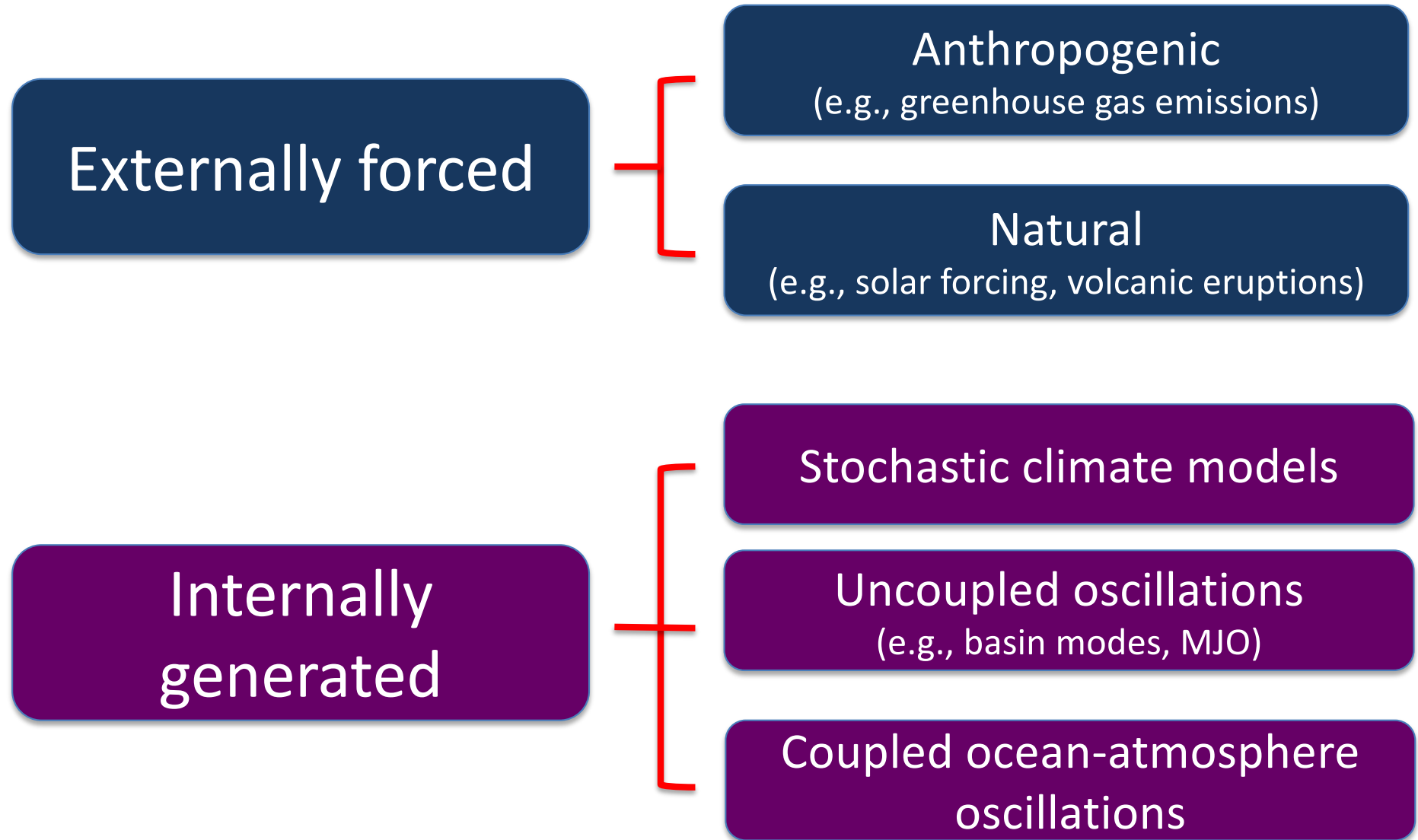
Mechanisms for climate variability



Climate Variability before Hasselmann



Mechanisms for climate variability



Hasselmann's stochastic climate model

