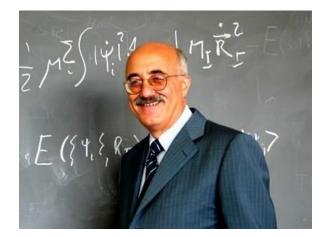






Simulating Parrinello-Style

- Know the classics, and use them creatively
- Don't be afraid of complicated s**t
- No project is finished until there's an implementation people can use



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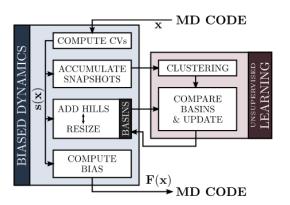


Fig. 2. Flowchart for the reconnaissance metadynamics algorithm.

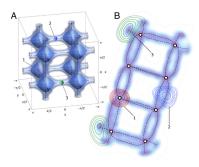
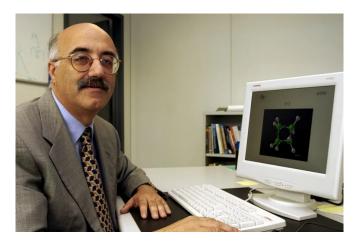


Fig. 1. A complex free-energy surface that is periodic in three directions (A) and its sketch-map projection (B). B shows how one can use functions of the sketch-map coordinates to describe the position in the three-dimensional space. The fields generated for the three marked points are shown. Where sketch-map reproduces the topology (point 1) the field is sharply peaked and is roughly Gaussian shaped. Where sketch-map rovides a less good description the field has multiple peaks because there are multiple points where it is reasonable to project (point 3).

Tribello et al. PNAS (2010); Tribello et al. PNAS (2012)

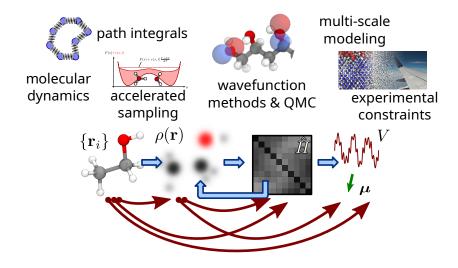
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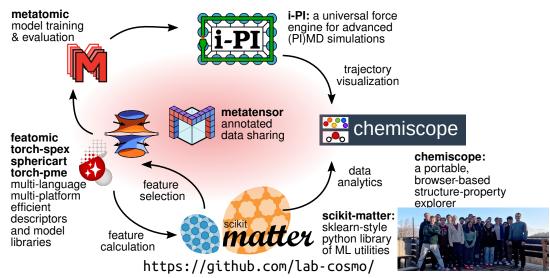
A cookbook of atomistic recipes

- Modern atomistic simulations combine QM, stat mech, ML and more
- A comprehensive open-source software stack for advanced atomic-scale simulations
- ... and a cookbook to use it effectively



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The Atomistic Cookbook



This cookbook contains recipes for atomic-scale modelling for materials and molecules, with a particular focus on machine learning and statistical sampling methods. Most of the examples rely heavily on software developed by the laboratory of computational science and modeling (COSMO, see its github page) but the cookbook is open for recipes using all types of modeling tools and techniques. Rather than focusing on the usage of a specific package, this cookbook provides concrete examples of the solution of modeling orbolems, often using a combination of several tools.

Downloading and running the recipes

Each recipe can be viewed online as an interactive HTML page, but can also be downloaded as a stand-alone .py script of .tpynb Jupyter notebook. To simplify setting up an environment that contains all the dependencies needed for each recipe, you can also download an environment.yml file that you can use with conda to create a custom environment to run the example.

```
# Pick a name for the environment and replace <environment-name> with it
conda env create -name <environment-name> --file environment.yml

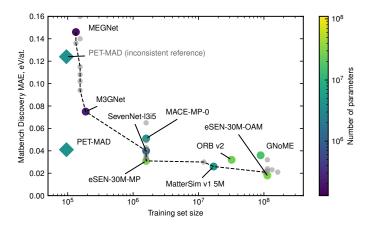
# when you want to use the environment
conda env activate --name <environment-name>
```

Additional data needed for each example is usually either downloaded dynamically, or can be found in a

https://atomistic-cookbook.org/

PET-MAD - Accuracy across materials (and molecular) space

- Consistent benchmarking shows competitive performance with 100x less data





Bigi

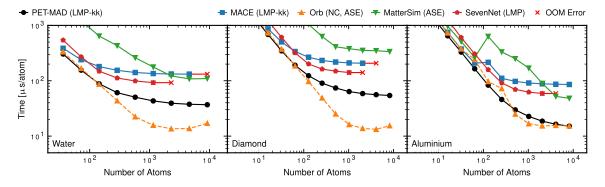
PET-MAD - Accuracy across materials (and molecular) space

- Consistent benchmarking shows competitive performance with 100x less data
- Fast, unconstrained architecture

Dataset	PET-MAD	MACE-MP-0-L	MatterSim-5M	Orb-v2	SevenNet
MAD	17.6 65.1	81.6 181.5	47.3 133.7	52.9 96.2	82.1 173.5
MPtrj	22.3 77.9	15.1 50.8	21.3 61.4	5.6 21.9	9.8 25.5
Matbench	31.3	58.5	38.2	37.9	47.5
Alexandria	49.0 66.8	65.4 79.5	21.2 39.9	13.2 10.5	47.6 70.3
OC2020	18.3 114.5	82.4 169.6	31.5 119.2	19.8 99.3	45.7 162.7
SPICE	3.7 59.5	10.6 166.8	21.3 145.6	59.0 140.8	11.3 139.1
MD22	1.9 65.6	9.4 182.9	28.6 160.4	174.3 220.7	11.1 146.2

PET-MAD - Accuracy across materials (and molecular) space

- Consistent benchmarking shows competitive performance with 100x less data
- Fast, unconstrained architecture



Mazitov, Bigi et al., arXiv:2503.14118; https://atomistic-cookbook.org/examples/pet-mad/pet-mad.html

atomistic-cookbook.org/examples/pet-mad-uq/pet-mad-uq.html

Go to the end to download the full example code.

Uncertainty Quantification with PET- MAD

Authors:

Johannes Spies @johannes-spies

This recipe demonstrates three ways of computing errors on the outputs of ML potential-driven simulations, using as an example the PET-MAD model and its built-in uncertainty quantification (UQ) capabilities.

In particular, it demonstrates:

- 1. Estimating uncertainties for single-point calculations on a full validation dataset.
- Computing energies in simple functions of energy predictions, namely the value of vacancy formation energies
- Propagating errors from energy predictions to thermodynamic averages computed over a constanttemperature MD simulation.

For more information on PET-MAD, have a look at Mazitov et al., 2025. The LLPR uncertainties are introduced in Bigi et al., 2024. For more information on dataset calibration and error propagation, see Imabalzano et al., 2021.

Optional: Adding UO to a Model

ON THIS PAGE

Optional: Adding UQ to a Model

Getting Started Model Loading

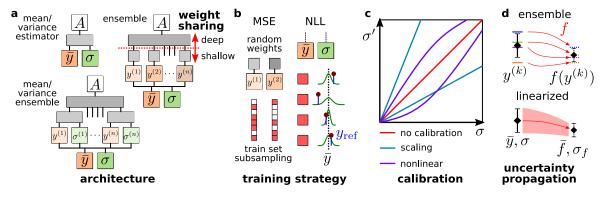
Uncertainties on a Dataset

Uncertainties in Vacancy Formation

Uncertainty Propagation with MD

The design space of uncertainty quantification

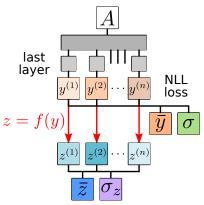
- Large design space for uncertainty quantification on top of a given architecture:
 - Error estimate (ensemble vs mean-variance dual-output)
 - Oiversification of the ensemble (subsampling, weight pruning, NLL target)
 - Calibration (essential for quantitative estimates)
 - Uncertainty propagation



Uncertainty estimation on a shoestring

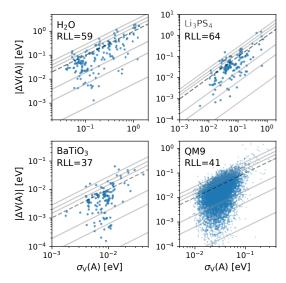
- "Shallow" ensemble architecture to reduce overhead to (nearly) zero
- Propagate the ensemble directly to obtain errors on the end properties

direct propagation of shallow ensembles



Last-layer ensembles are accurate

 A last-layer ensemble model provides good, calibrated and informative UQ over a variety of atomistic benchmarks



Ensembles are easy to propagate uncertainty with

 Obtaining uncertainties for complex simulation protocols is as simple as applying them to separate ensemble members

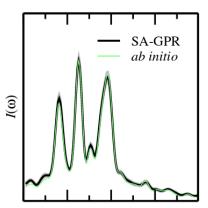
$$z^{(k)}(A) = f\left[y^{(k)}(A)\right]$$
 $\bar{z} = \frac{1}{n} \sum_{k} z^{(k)}, \ \sigma_z^2 = \frac{1}{n-1} \sum_{k} \left(z^{(k)} - \bar{z}\right)^2$

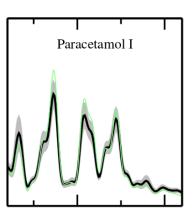
	mean / eV	var / eV	std / eV
Before creating vacancy	-127.312576	1.347783	1.160941
Right after creating vacancy	-122.585747	1.116814	1.056794
Energy of optimized vacancy	-122.649384	1.129488	1.062774
Vacancy formation energy	0.684676	0.011522	0.107341

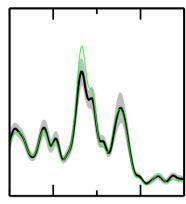
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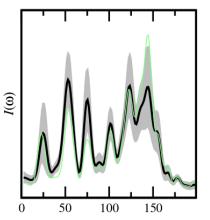


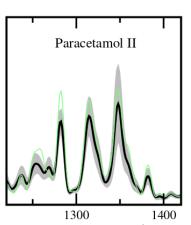
wavenumber (cmN. Raimbault, A. Grisafi, MC, M. Rossi, New J. Phys. (2019)

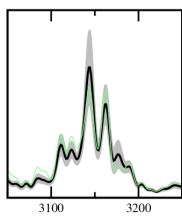
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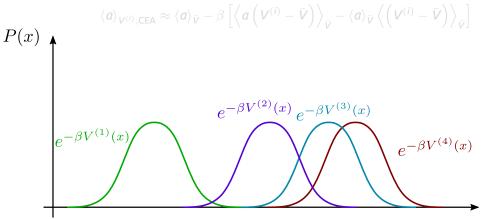


wavenumber (cmN. Raimbault, A. Grisafi, MC, M. Rossi, New J. Phys. (2019)

- Errors in ML-based thermodynamic averages combine effects on the observable σ_a^2 and those from sampling σ_{aV}^2
- A committee of predictions can be obtained from a single trajectory!

$$\langle a \rangle_{V^{(i)}} = \left\langle a e^{\beta \left(\bar{V} - V^{(i)} \right)} \right\rangle_{\bar{V}}$$

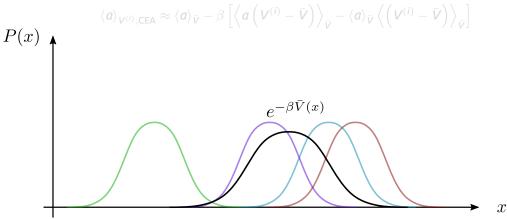
• Statistically stable estimates with a Cumulant Expansion Approximation



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Statistically stable estimates with a Cumulant Expansion Approximation

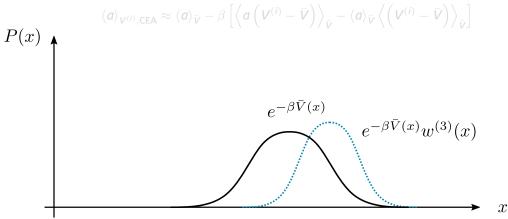


Imbalzano et al. JCP (2021)

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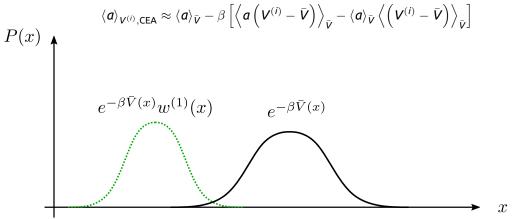
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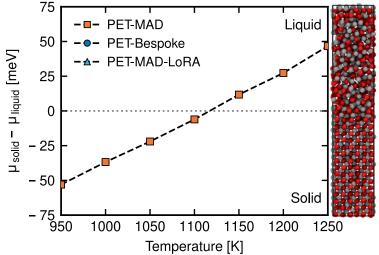
Statistically stable estimates with a Cumulant Expansion Approximation



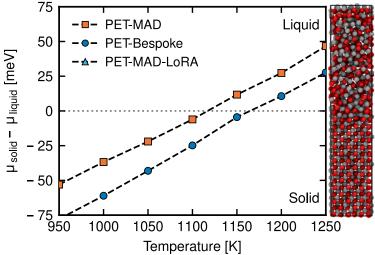
MC et al. PRSA (2012)

10

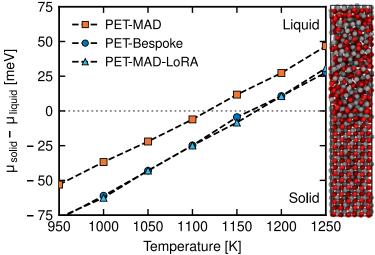
- Verify accuracy of a universal model on the end property by comparison with a bespoke model or a fine tuned one)
- Predictive model errors with shallow ensembles



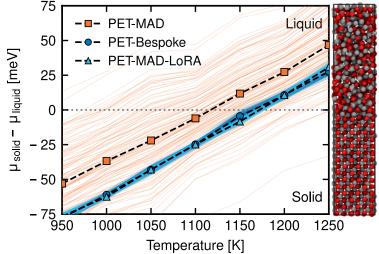
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atomistic-cookbook.org/examples/pet-mad-nc/pet-mad-nc.html

Go to the end to download the full example code.

MD using direct-force predictions with PET-MAD

Authors:

Michele Ceriotti @ceriottm, Filippo Bigi @frostedoyster

Evaluating forces as a direct output of a ML model accelerates their evaluation, by up to a factor of 3 in comparison to the traditional approach that evaluates them as derivatives of the interatomic potential. Unfortunately, as discussed e.g. in this paper, doing so means that forces are not conservative, leading to instabilities and artefacts in many modeling tasks, such as constant-energy molecular dynamics. Here we demonstrate the issues associated with direct force predictions, and ways to mitigate them, using the generally-applicable PET-MAD potential. See also this recipe for examples of using PET-MAD for basic tasks such as geometry optimization and conservative MD, and this for an example of how to use direct forces to accelerate training.

sphinx_gallery_thumbnail_number = 2

If you don't want to use the conda environment for this recipe, you can get all dependencies installing the PET-MAD package:

pip install pet-mad

ON THIS PAGE

Fetch PET-MAD and export the model

Non-conservative forces

Energy conservation in NVE molecular dynamics

Conservative forces

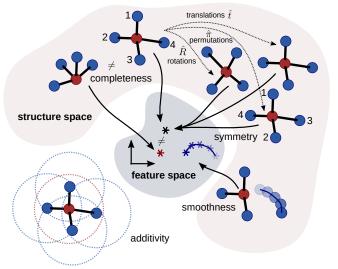
Non-conservative (direct) forces

Energy conservation at low-cost with multiple time stepping

LAMMPS implementation

Running LAMMPS on GPUs with KOKKOS

- Deep connections between most atomic-scale ML frameworks due to symmetry priors
- ullet All equivariant frameworks have a structure constrained by the O(3) group

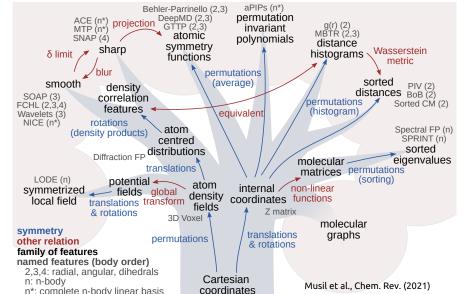






Musil et al., Chem. Rev. (2021)

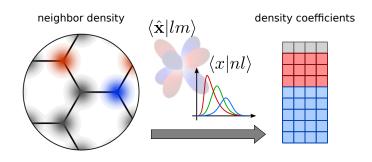
- Deep connections between most atomic-scale ML frameworks due to symmetry priors





- Deep connections between most atomic-scale ML frameworks due to symmetry priors
- $\bullet\,$ All equivariant frameworks have a structure constrained by the $\mathcal{O}\left(3\right)$ group

$$\xi_{\mathbf{n}}^{(\lambda\mu)}\left(\mathbf{A}_{i}
ight)\equiv\left\langle \mathbf{n}|\mathbf{A}_{i};\lambda\mu
ight
angle \equiv\sum_{j\in\mathcal{A}_{i}}R_{\mathbf{n}\lambda}\left(\mathbf{r}_{ij}
ight)Y_{\lambda}^{\mu}\left(\hat{\mathbf{r}}_{ij}
ight)$$





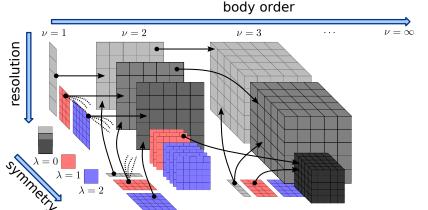
Musil



Nigam

- Deep connections between most atomic-scale ML frameworks due to symmetry priors
- All equivariant frameworks have a structure constrained by the O(3) group

$$\langle \dots ; \mathbf{n}_{\nu} \mathbf{l}_{\nu} \mathbf{k}_{\nu} ; \mathbf{n} lk | \overline{\rho_{i}^{\otimes (\nu+1)}} ; \underline{\lambda \mu} \rangle = \sum_{qm} \ \langle \mathbf{n} | \overline{\rho_{i}^{\otimes 1}} ; \underline{lm} \rangle \ \langle \dots ; \mathbf{n}_{\nu} \mathbf{l}_{\nu} \mathbf{k}_{\nu} | \overline{\rho_{i}^{\otimes \nu}} ; \underline{kq} \rangle \ \langle lm ; \underline{kq} | \underline{\lambda \mu} \rangle$$

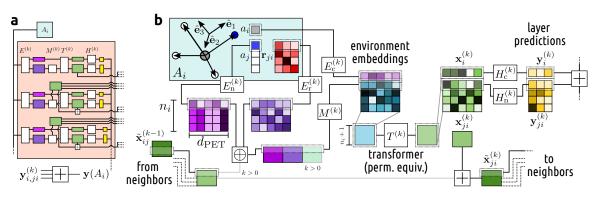




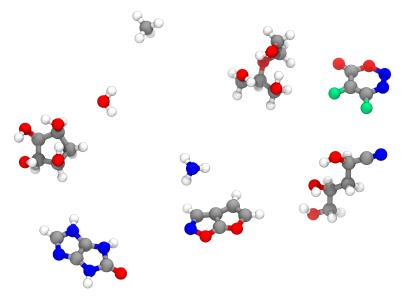
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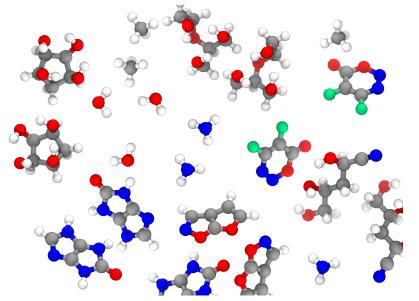
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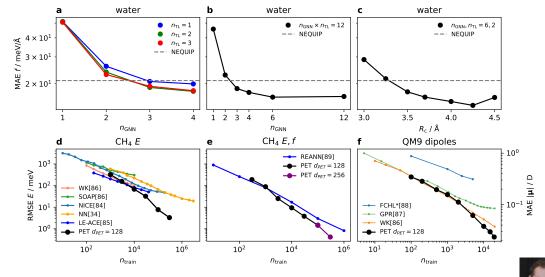


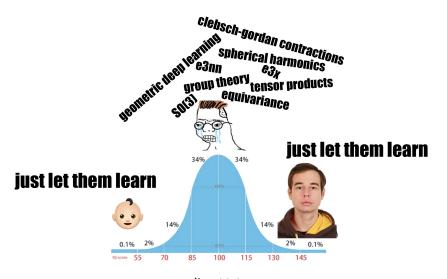








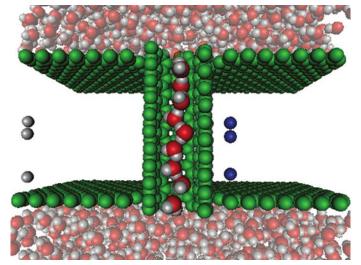


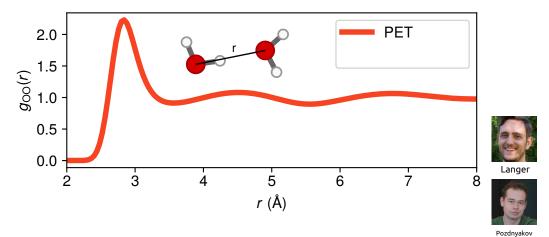


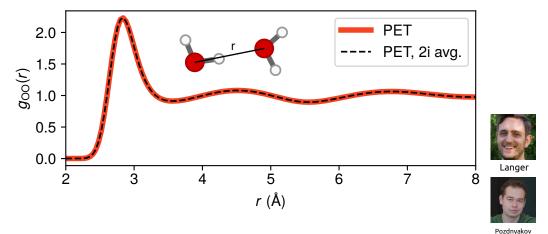
credits: M. Langer

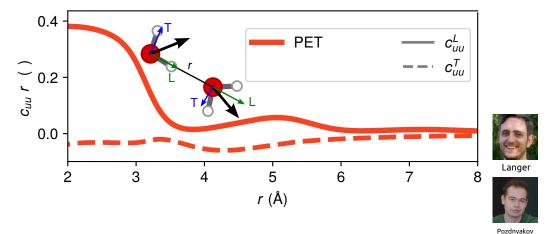
Handle with some care

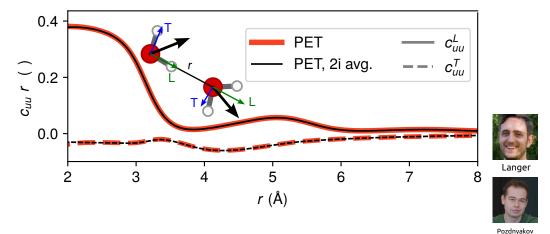
• Symmetry breaking leads to artefacts



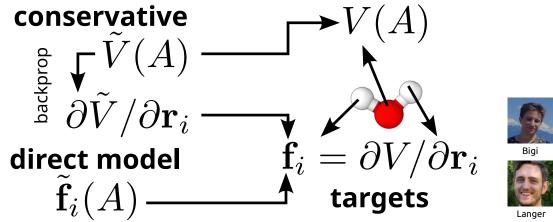




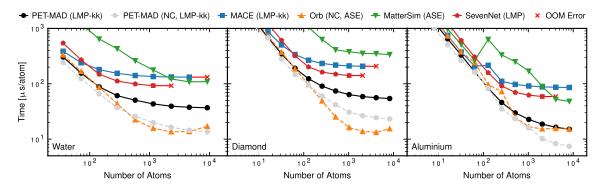




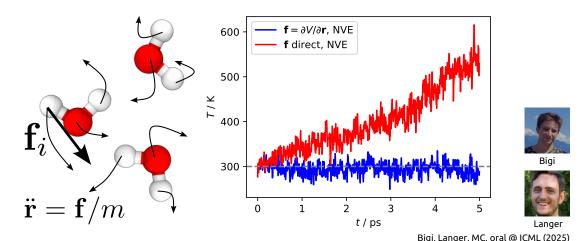
- Many application only need interatomic *forces*, $\mathbf{f}_j = -\partial V\left(\mathbf{r}_1, \dots \mathbf{r}_N\right)/\partial \mathbf{r}_j$, but learn them as the derivative of a potential energy V
- ullet Data-minded approach: learning $oldsymbol{f}_j$ directly is faster
- Bad idea. No energy conservation, unstable sampling, dynamics and geometry optimization



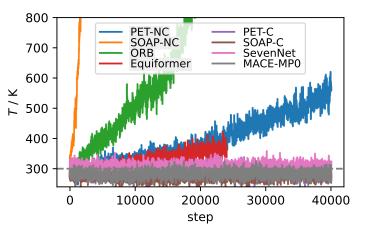
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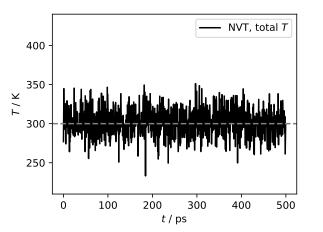
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Langer

- No easy fix! Thermostatting stabilizes dynamics but leaves serious artifacts

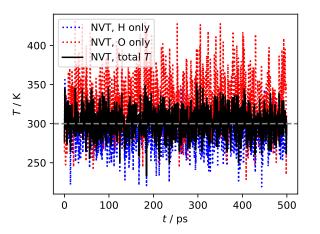






Langer

- No easy fix! Thermostatting stabilizes dynamics but leaves serious artifacts
- How about using direct fitting together with conservative forces?



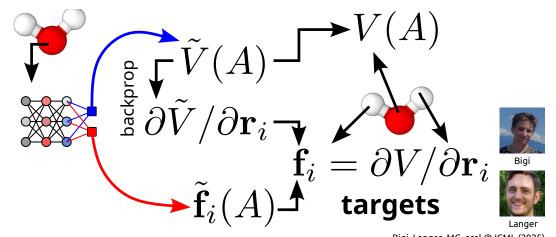




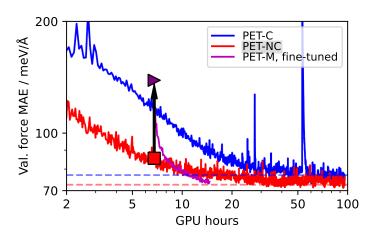
Langer

Simulation Recipes from the Parrinello Family Cookbook

- No easy fix! Thermostatting stabilizes dynamics but leaves serious artifacts
- How about using direct fitting together with conservative forces?
 - Conservative fine-tuning: physically-consistent forces at half cost
 - Multiple time stepping: evaluating conservative correction every M steps



- No easy fix! Thermostatting stabilizes dynamics but leaves serious artifacts
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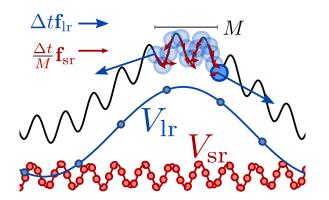




Langer

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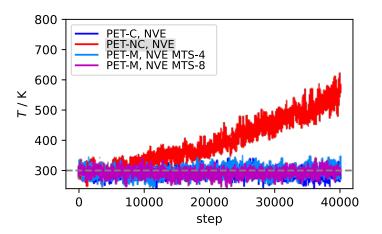


Bigi



Langer

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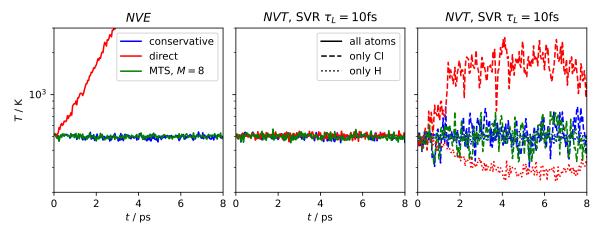


Langer

Simulation Recipes from the Parrinello Family Cookbook

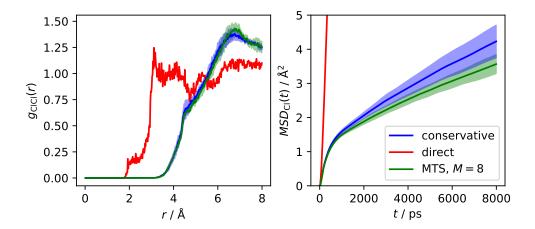
... with the universal potential PET-MAD

- This is a pretty robust setup: works for PET-MAD in the deep extrapolative regime with a simulation of BMIM-Cl at 500K
- See by yourself https://atomistic-cookbook.org/examples/pet-mad-nc/pet-mad-nc.html

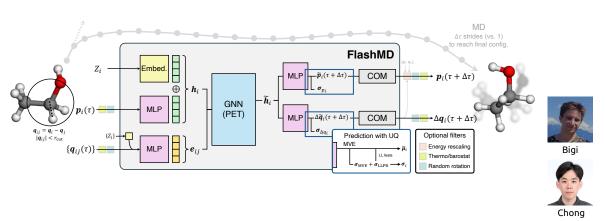


... with the universal potential PET-MAD

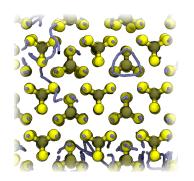
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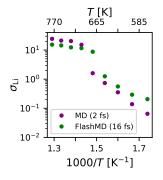


- If we give up energy conservation, we might at least get more than a 2x speedup. Can we predict $(\mathbf{q}, \mathbf{p})(t + \Delta t)$ starting from $(\mathbf{q}, \mathbf{p})(t)$? With *large* strides?
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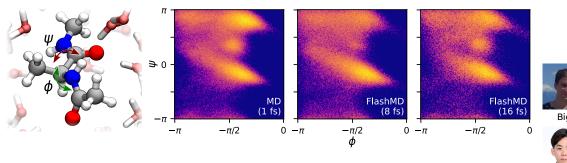


Bigi



Chong

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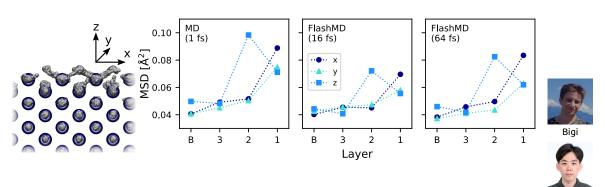






Chona

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Chong

atomistic-cookbook.org/examples/flashmd/flashmd-demo.html

Long-stride trajectories with a universal FlashMD model

Authors:

Michele Ceriotti @ceriottm

This example demonstrates how to run long-stride molecular dynamics using the universal FlashMD model. FlashMD predicts directly positions and momenta of atoms at a later time based on the current positions and momenta. It is trained on MD trajectories obtained with the PET-MAD universal potential. You can read more about the model and its limitations in this preprint.

```
# sphinx_gallery_thumbnail_path = '../../examples/flashmd/flashmd-scheme.png'
```

Start by importing the required libraries. You will need the PET-MAD potential, as well as FlashMD and a recent version of i-PI.

```
pip install pet-mad flashmd ipi

import chemiscope
from flashmd import get_universal_model
from flashmd.ipi import get_npt_stepper, get_nvt_stepper
from ipi.utils.parsing import read_output, read_trajectory
from ipi.utils.scripting import InteractiveSimulation
from pet mad.calculator import PETMACCAlculator
```

ON THIS PAGE

Al(110) surface dynamics Solvated alanine dipeptide

A rough schematic of the architecture of ElashMD is shown below. Each model is trained for a specific

cosmo.epfl.ch













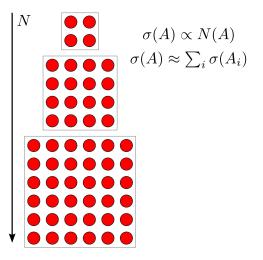


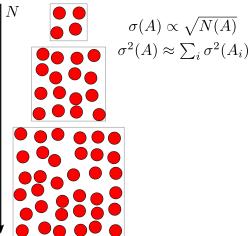
Thank you!



Last-layer ensembles are size-consistent

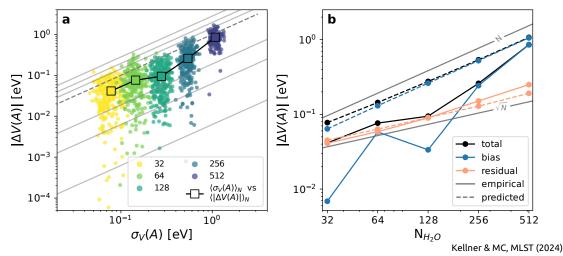
- Atomistic potentials are often sums of atom-centered predictions $y(A) = \sum_{i \in A} y(A_i)$
- How do atomic errors propagate to structure errors?
- Well-calibrated force prediction





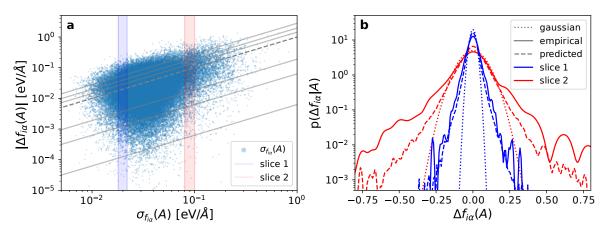
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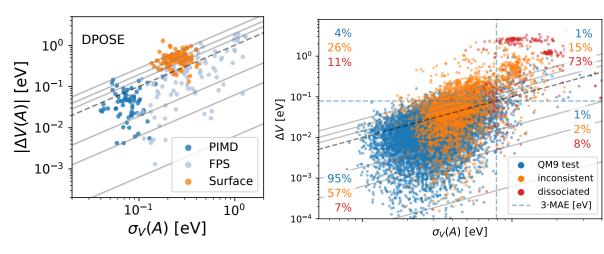
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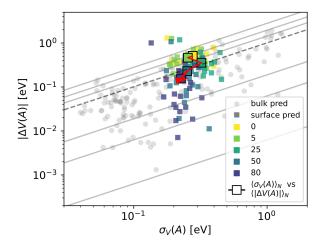
Last-layer ensembles extrapolate well

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- Incremental training improves UQ calibration as well as prediction accuracy



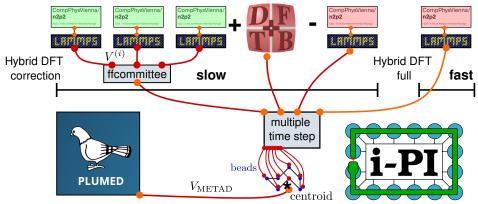
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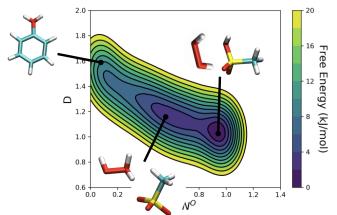
UQ for acid-base equilibria

- Energetics described with a DFTB baseline and a MLP correction. Accelerated by multiple time stepping
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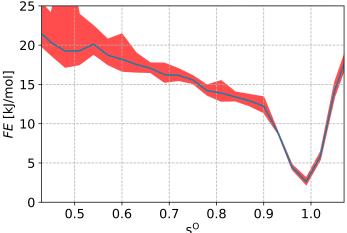
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Kapil, Behler, MC, JCP (2016); Zamani et al., Adv. Mater. (2020); Rossi et al., JCTC (2020)

UQ for acid-base equilibria

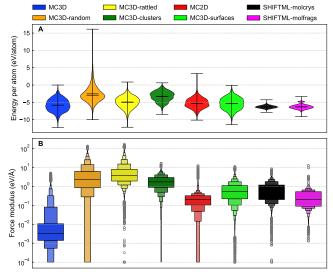
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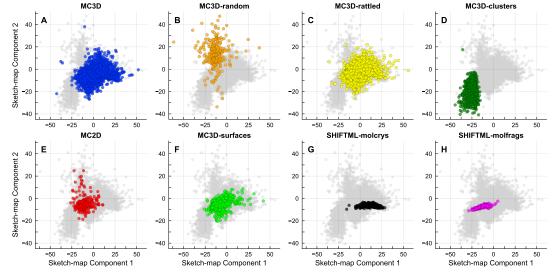
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 Internally consistent DFT details aim for DFT accuracy with < 100k structures
- Diverse data space, covering more ground than much larger datasets
- The latent variables provide a general framework for data analytics

Subset name	Description	# structures	# atoms
MC3D	Bulk crystals from the Materials Cloud 3D crystals	33596	738484
MC3D-rattled	Rattled analogs of the original MC3D crystals, with Gaussian noise added to all atomic positions	30044	599675
MC3D-random	Artificial structures from MC3D with randomized atomic species from 85 elements	2800	25095
MC3D-surface	Surface slabs generated from MC3D by cleaving along random low-index crystallographic planes	5589	205185
MC3D-cluster	Nanoclusters (2-8 atoms) cut from MC3D and MC3D-rattled environments	9071	44829
MC2D	2D crystals from the Materials Cloud	2676	43225
SHIFTML-molcrys	Curated SHIFTML molecular crystals from the Cambridge Structural Database	8578	852044
SHIFTML-molfrags	Neutral molecular fragments from SHIFTML	3241	72120

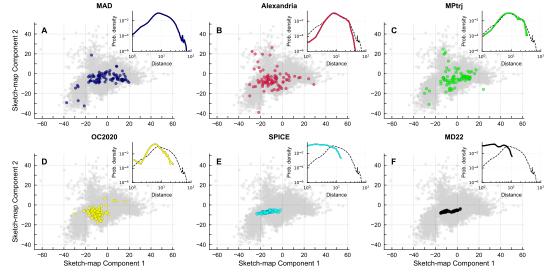
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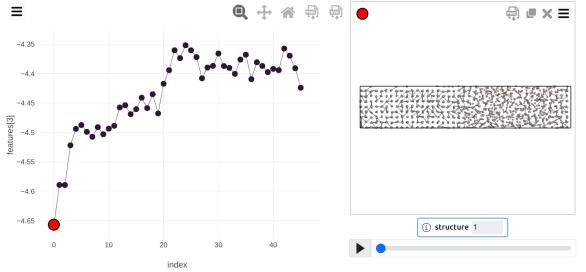
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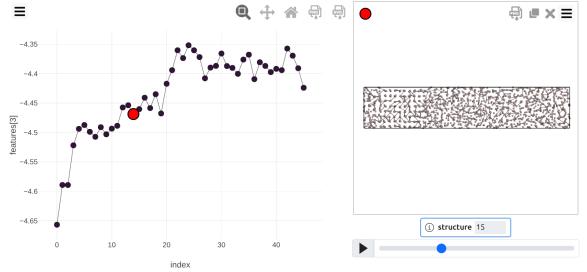


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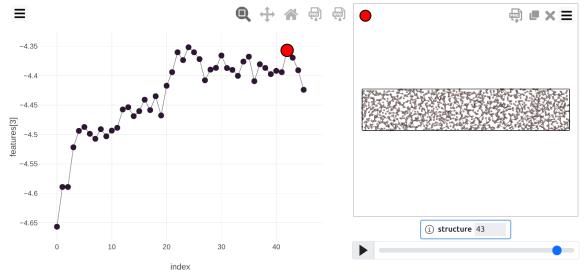
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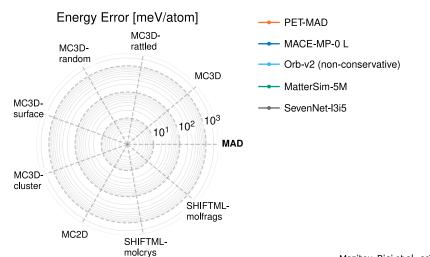


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- Consistent benchmarking shows competitive performance with 100x less data
- Fast, unconstrained architecture
- Prediction of complex properties, simple fine-tuning, model errors with shallow ensembles

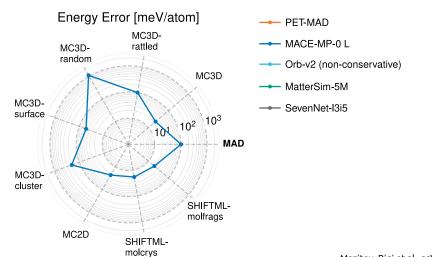


Mazitov



Bigi

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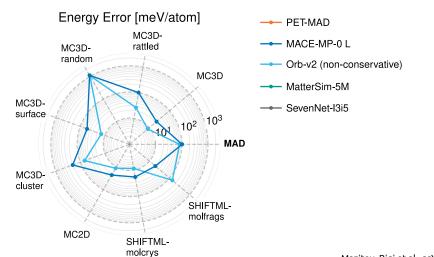


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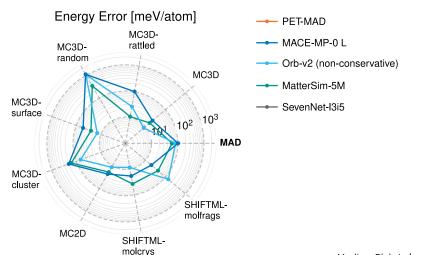






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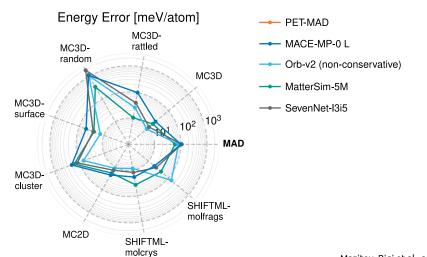






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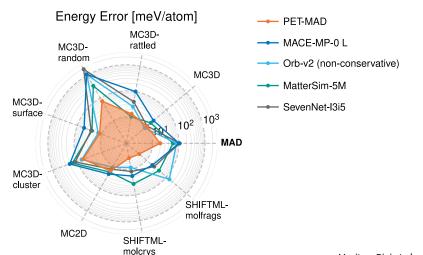






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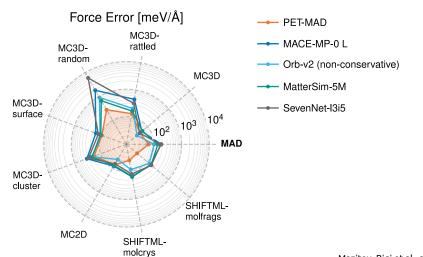






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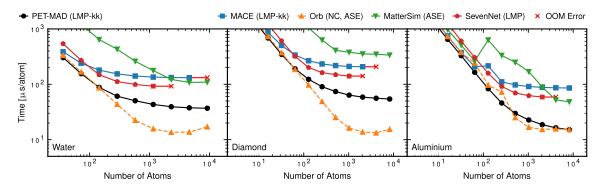
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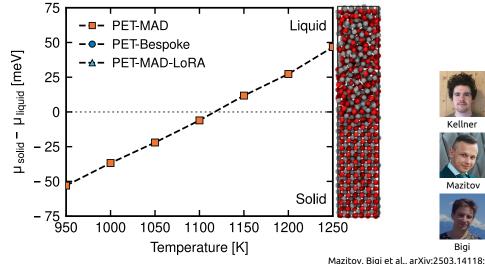
Mazitov, Bigi et al., arXiv:2503.14118; https://atomistic-cookbook.org/examples/pet-mad/pet-mad.html

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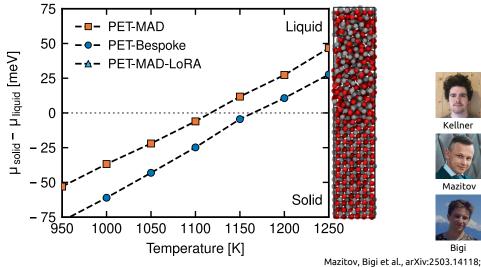
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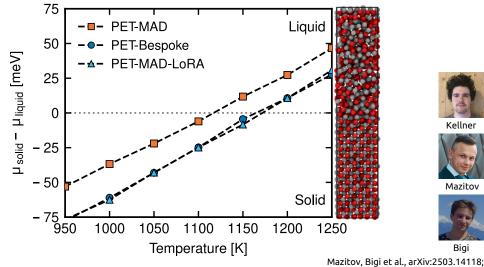


Biai

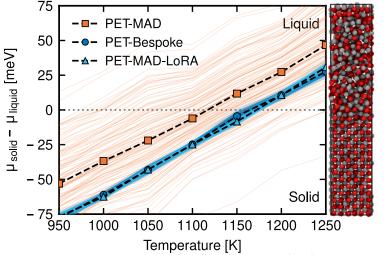
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Kellner



Mazitov



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