

Benchmark for MSRs modelling

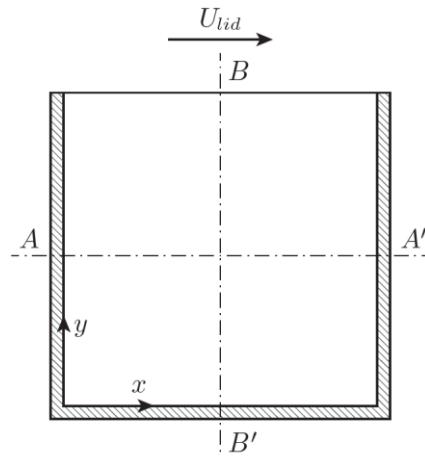
15th April 2026

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The CNRS benchmark

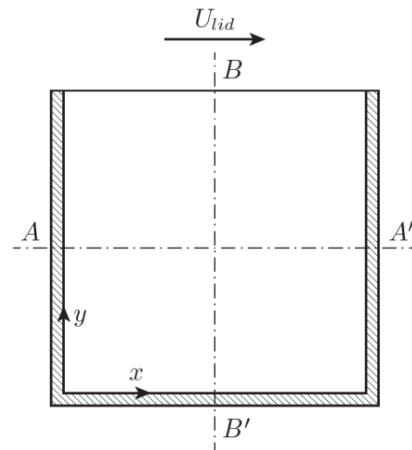
- Simple problem, but still representative of MSFR
- Divided into **phases and steps**
- **Coupling** between various physical phenomena **gradually introduced**
- Phenomena complex to model as turbulence or Doppler feedback are absent



The CNRS benchmark

Main characteristics:

- LiF-BeF₂-UF₄ salt
- Prescribed nuclear data (condensed into 6 groups)
- No Doppler feedback, only density
- Incompressible laminar flow
- Boussinesq approximation for buoyancy
- Simple 2D geometry: square cavity
- Constant thermodynamic properties
- No model prescribed for neutronics



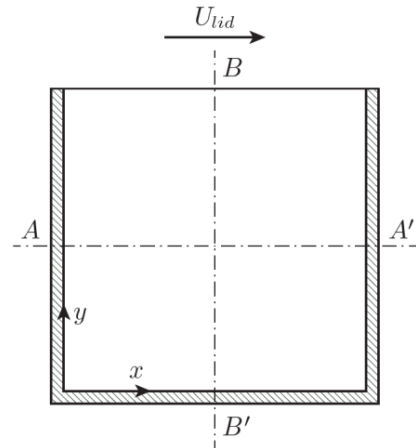
Boundary conditions:

- Homogeneous bare reactor $\Rightarrow$ standard vacuum + hom. Neumann for precursors
- No-slip, zero velocity at each walls except lid: U_{lid}
- Adiabatic walls, volumetric heat transfer coefficient γ imposed: $q''' = \gamma(900 - T)$

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Benchmark – mesh creation

Step 0 – Mesh creation

Let's create the mesh through the blockMesh utility

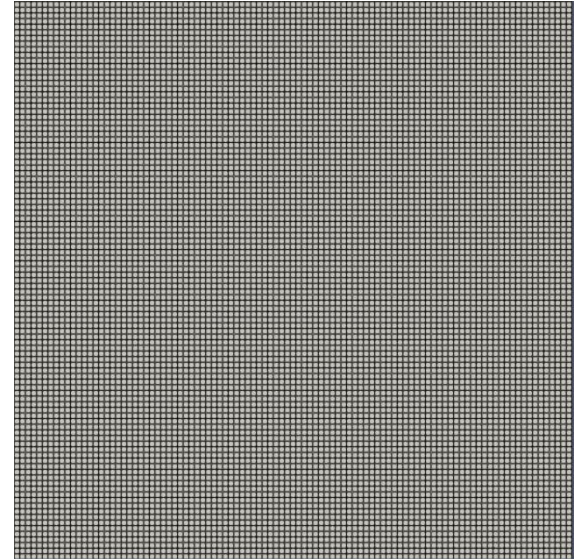
Goal: Create a 2D square mesh

Input:

Number of divisions
for the square sides

Output:

Simulation mesh



Benchmark – Phase 0

Step 0.1 – Velocity field

Study solution of steady-state incompressible flow

Goal: test capability to get a correct velocity field

Input:

$U_{lid} = 0.5 \text{ m/s}$

Output:

Velocity components along centrelines

Benchmark – Phase 0

Step 0.1 – Velocity field

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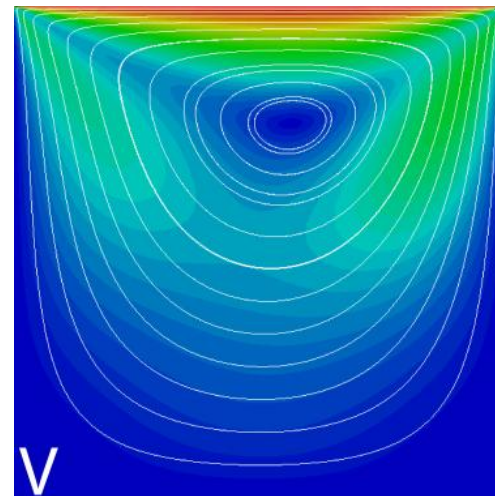
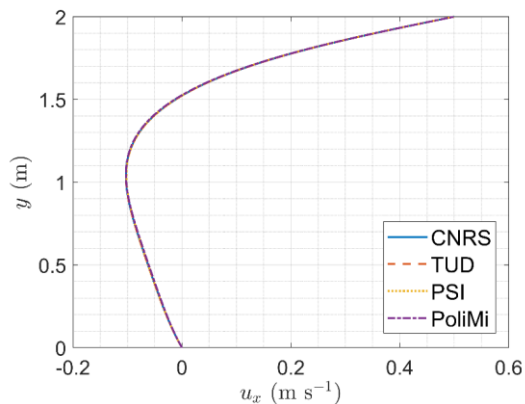
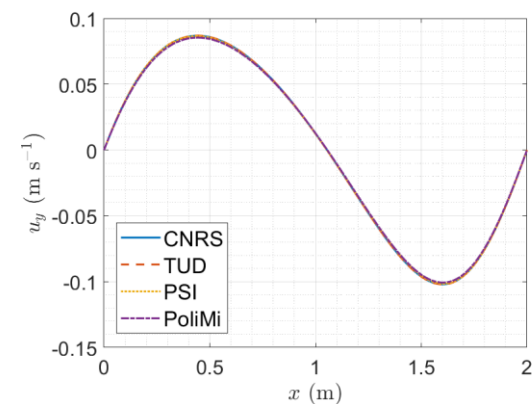
Input:

$$U_{\text{lid}} = 0.5 \text{ m/s}$$

Output:

Velocity components along centrelines

Code	ρ (pcm)
CNRS-SP ₁	411.3
CNRS-SP ₃	353.7
PoliMi	421.2
PSI	411.7
TUD-S ₂	482.6
TUD-S ₆	578.1



Benchmark – Phase 0

Step 0.2 – Neutronics

Study neutronics criticality eigenvalue problem with isothermal and static fuel

Goal: verify the neutronics solutions of the codes in simple, static-fuel

Input:

$T = 900 \text{ K}$

$P = 1 \text{ GW}$

Output:

Fission rate density $\int \Sigma_f \Phi dE$

Reactivity ρ

Benchmark – Phase 0

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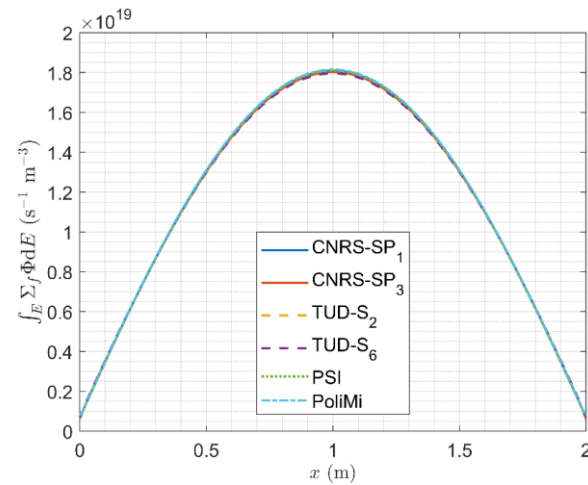
$P = 1 \text{ GW}$

Output:

Fission rate density $\int \Sigma_f \Phi dE$

Reactivity ρ

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PoliMi	421.2
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TUD- S_2	482.6
TUD- S_6	578.1



Benchmark – Phase 0

Step 0.3 – Temperature field

Study passive scalar transport

Goal: verify the capability to correctly transport passive scalars

Input:

Frozen velocity field from 0.1

Frozen fission power from 0.2

$$\gamma = 10^6 \frac{\text{W}}{\text{m}^2\text{K}}$$

Output:

Temperature along centrelines

Benchmark – Phase 0

Step 0.3 – Temperature field

Study passive scalar transport

Goal: verify the capability to correctly transport passive scalars

Input:

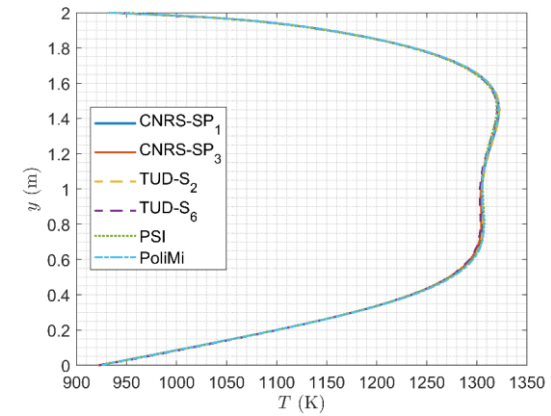
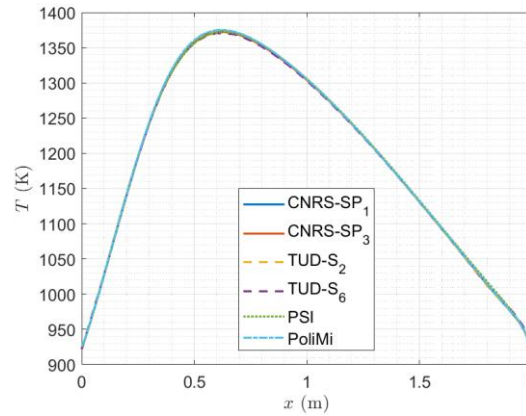
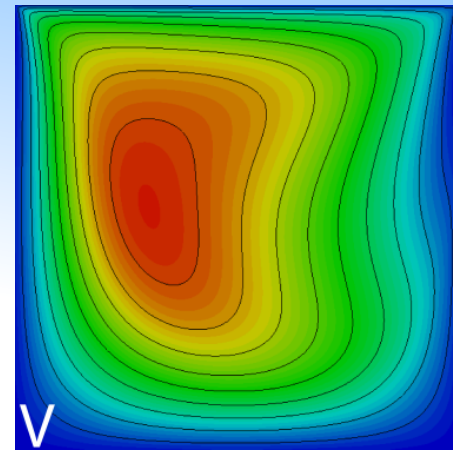
Frozen velocity field from 0.1

Frozen fission power from 0.2

$$\gamma = 10^6 \frac{\text{W}}{\text{m}^2\text{K}}$$

Output:

Temperature along centrelines



Benchmark – Phase 1

Step 1.1 – Circulating fuel

Study the criticality problem in presence of circulating fuel

Goal: correct evaluation of the effects of the fluid flow on neutronics

Input:

Frozen velocity field from 0.1

$T = 900 \text{ K}$

$P = 1 \text{ GW}$

Output:

Delayed neutron source along centrelines

Reactivity change from step 0.2

Benchmark – Phase 1

Step 1.1 – Circulating fuel

Study the criticality problem in presence of circulating fuel

Goal: correct evaluation of the effects of the fluid flow on neutronics

Input:

Frozen velocity field from 0.1

$T = 900 \text{ K}$

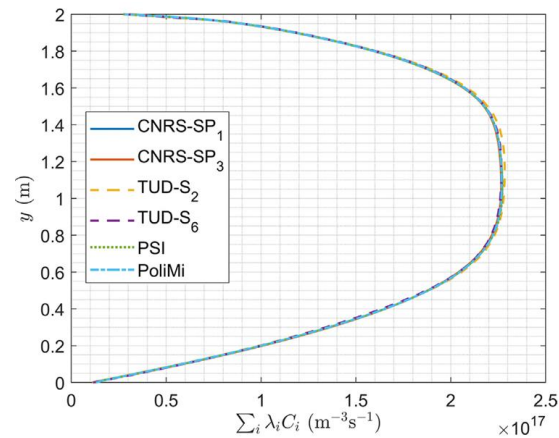
$P = 1 \text{ GW}$

Output:

Delayed neutron source along centrelines

Reactivity change from step 0.2

Code	$\rho - \rho_{s0.2} \text{ (pcm)}$
CNRS-SP ₁	-62.5
CNRS-SP ₃	-62.6
PoliMi	-62.0
PSI	-63.0
TUD-S ₂	-62.0
TUD-S ₆	-60.7



Benchmark – Phase 1

Step 1.2 – Power coupling

Study the coupling between neutronics and temperature field

Goal: analyse flux deformation by temperature and flux effect on temperature

Input:

Frozen velocity field from 0.1

$P = 1 \text{ GW}$

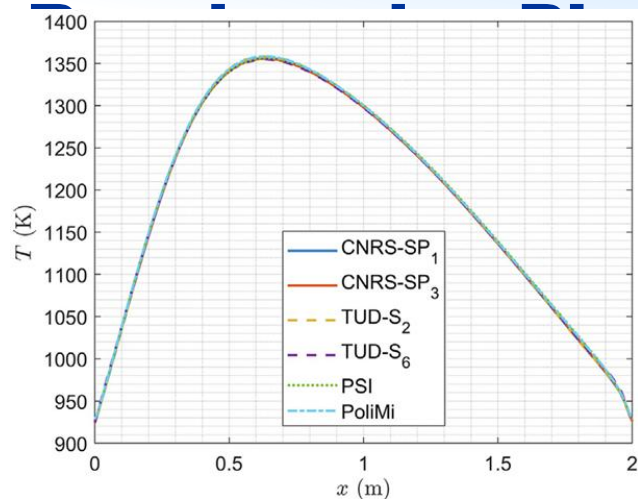
$$\gamma = 10^6 \frac{\text{W}}{\text{m}^2\text{K}}$$

Output:

Temperature along centrelines

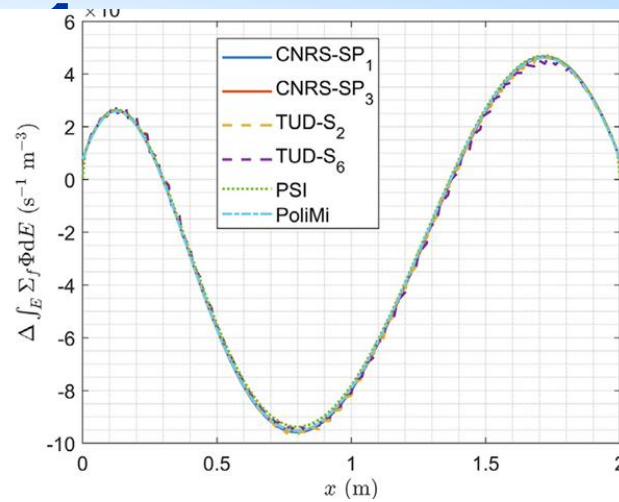
Reactivity change from step 1.1

Fission rate density profile change from step 0.2



$$P = 1 \text{ GW}$$

$$\gamma = 10^6 \frac{\text{W}}{\text{m}^2 \text{K}}$$



temperature

ness

Reactivity change from step 1.1

Fission rate density profile change from step 0.2

Code	$\rho - \rho_{s1.1}$ (pcm)
CNRS-SP ₁	-1152.0
CNRS-SP ₃	-1152.7
PoliMi	-1161.0
PSI	-1154.8
TUD-S ₂	-1145.2
TUD-S ₆	-1122.0

Benchmark – Phase 1

Step 1.3 – Buoyancy

Study the effect of density induced movement

Goal: analyse velocity field induced by fission heat and reactivity introduction by precursors movement

Input:

$$U_{lid} = 0 \text{ m/s}$$

$$P = 1 \text{ GW}$$

$$\gamma = 10^6 \frac{\text{W}}{\text{m}^2\text{K}}$$

Output:

Velocity along centrelines

Temperature field along centrelines

Delayed neutron source along centrelines

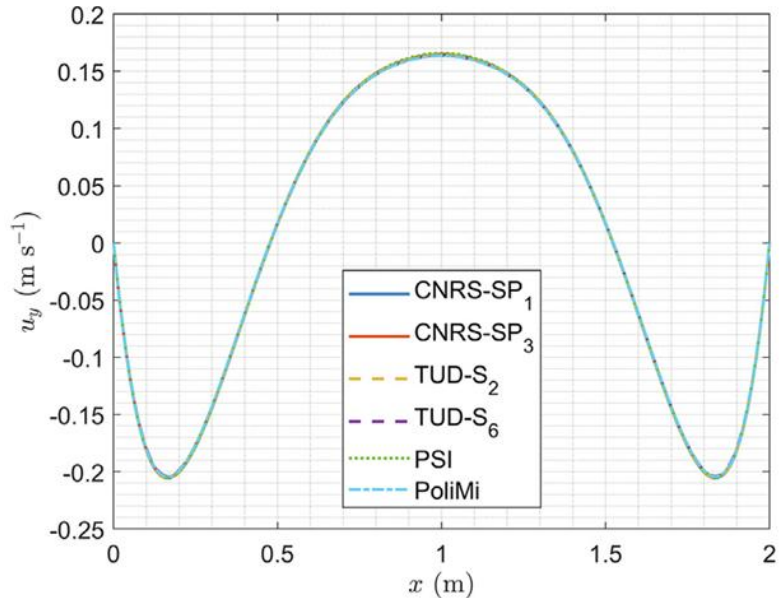
Reactivity change from step 0.2

Benchmark – Phase 1

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Output:

Velocity along centrelines

Temperature field along centrelines

Delayed neutron source along centrelines

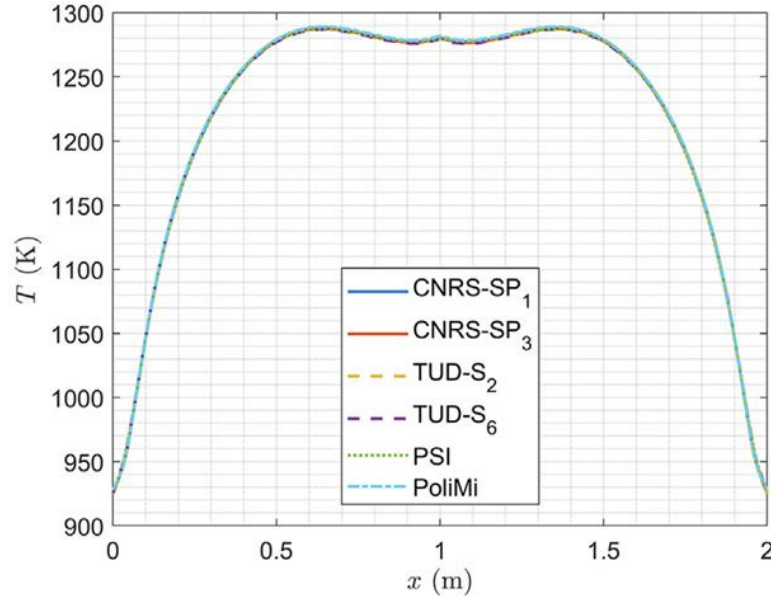
Reactivity change from step 0.2

Benchmark – Phase 1

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Output:

Velocity along centrelines

Temperature field along centrelines

Delayed neutron source along centrelines

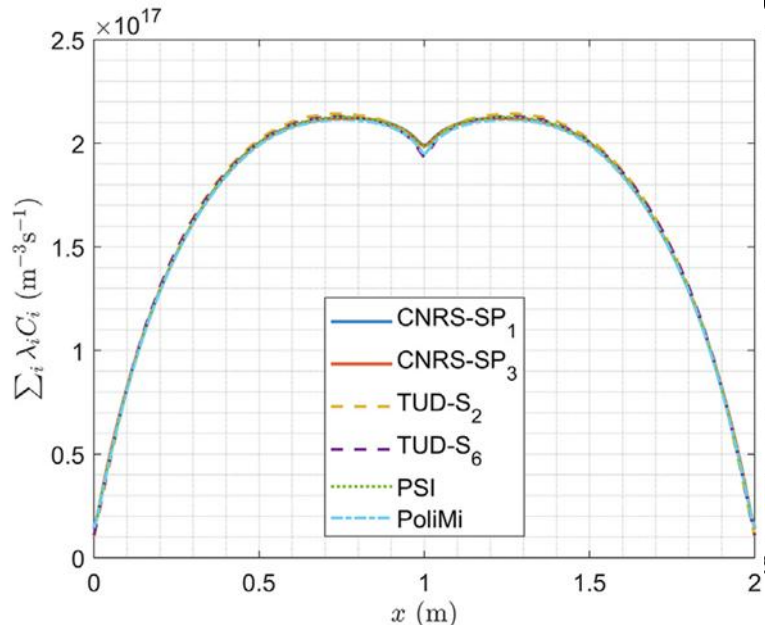
Reactivity change from step 0.2

Benchmark – Phase 1

Step 1.3 – Buoyancy

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Goal: analyse velocity field induced by fission heat and reactivity introduction by



Output:

Velocity along centrelines

Temperature field along centrelines

Delayed neutron source along centrelines

Reactivity change from step 0.2

Benchmark – Phase 1

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Input:

$$U_{\text{lid}} = 0 \text{ m/s}$$

$$P = 1 \text{ GW}$$

$$\gamma = 10^6 \frac{\text{W}}{\text{m}^2\text{K}}$$

Code	$\rho - \rho_{s_{0.2}}$ (pcm)
CNRS-SP ₁	-1220.5
CNRS-SP ₃	-1220.7
PoliMi	-1227.0
PSI	-1219.6
TUD-S ₂	-1208.5
TUD-S ₆	-1184.4

Reactivity change from step 0.2

Benchmark – Phase 1



Step 1.4 – Full coupling

Study representative of realistic reactor simulations in terms of physical phenomena

Goal: correct evaluation of the full coupled effects

Input:

$$U_{\text{lid}} = 0 \div 0.5 \text{ m/s}$$

$$P = 0 \div 1 \text{ GW}$$

$$\gamma = 10^6 \frac{\text{W}}{\text{m}^2\text{K}}$$

Output:

Reactivity change from step 0.2 as function of P and U_{lid}

Benchmark – Phase 2 (bonus)

Step 2.1 – Forced convection transient

Study generic transient response of the coupled system

Goal: study how the oscillation in heat transfer coefficient influences power production

Input:

Steady state solution of step 1.4

$$\gamma = \gamma_{\text{ref}}[1 - 0.1 \sin(f \cdot t)]$$

$f = [0.0125; 0.025; 0.05; 0.1; 0.2; 0.4; 0.8] \text{ Hz}$

Output:

Power gain and power shift as function of the perturbation frequency

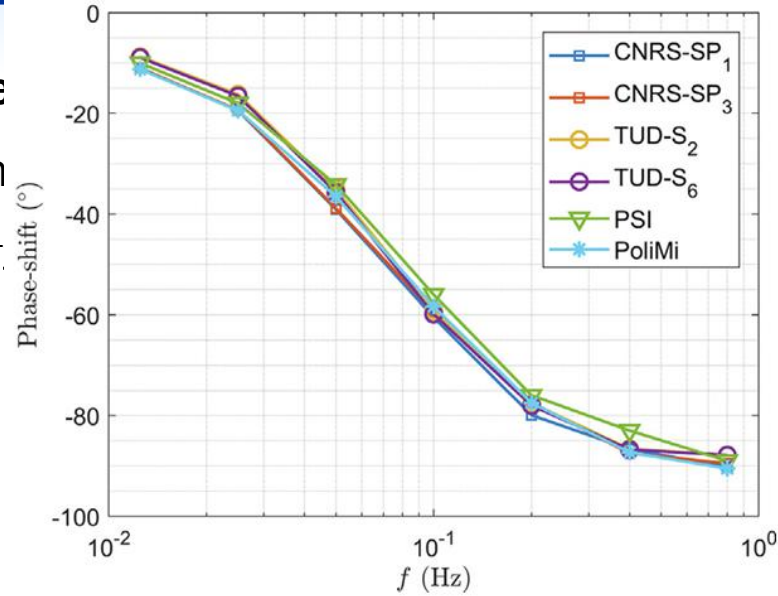
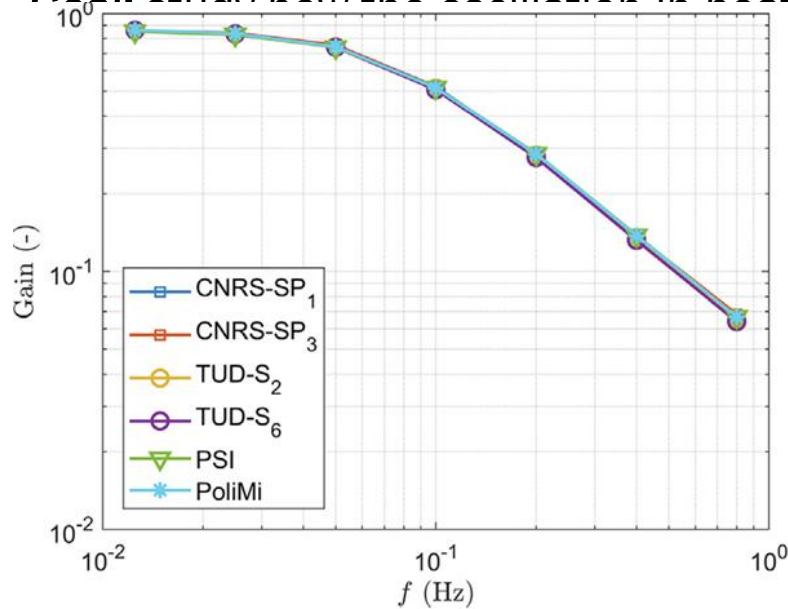
$$\text{Gain} = \frac{(P_{\text{max}} - P_{\text{avg}})/P_{\text{avg}}}{(\gamma_{\text{max}} - \gamma_{\text{avg}})/\gamma_{\text{avg}}}$$

Benchmark – Phase 2 (bonus)

Step 2.1 – Forced convection transie

Study generic transient response of the

Look at how the oscillation in heat

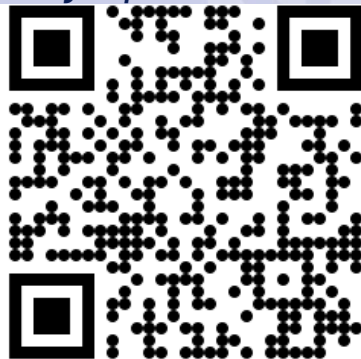


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$$Gain = \frac{(P_{max} - P_{avg})/P_{avg}}{(\gamma_{max} - \gamma_{avg})/\gamma_{avg}}$$

Thank you for the attention!

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