

Introduction to site effects

Influence of the local geology on the ground motion

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Presentation Outline

- ✓ **Introduction and general concepts**
- ✓ **Empirical evidence of site effects**
- ✓ **Linear site response**
- ✓ **Nonlinear site response**

Introduction and General Concepts

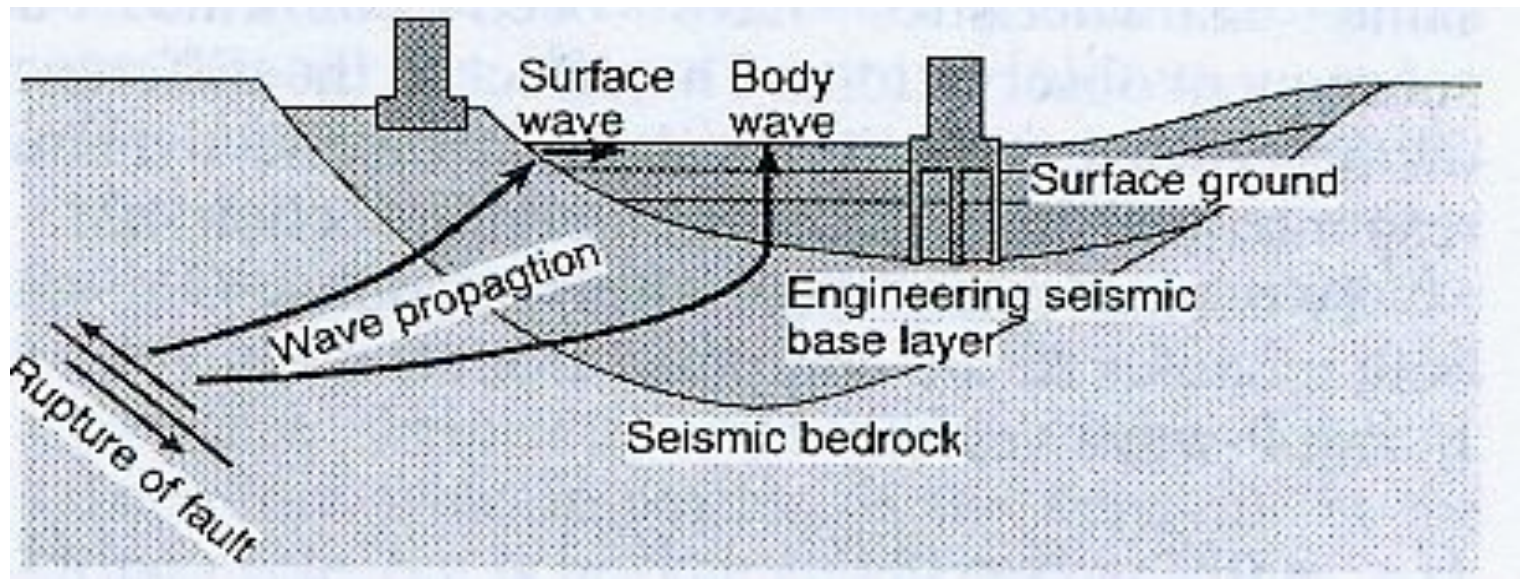
Site Response

- **Observed Records = (Source) + (Path) + (Site)**

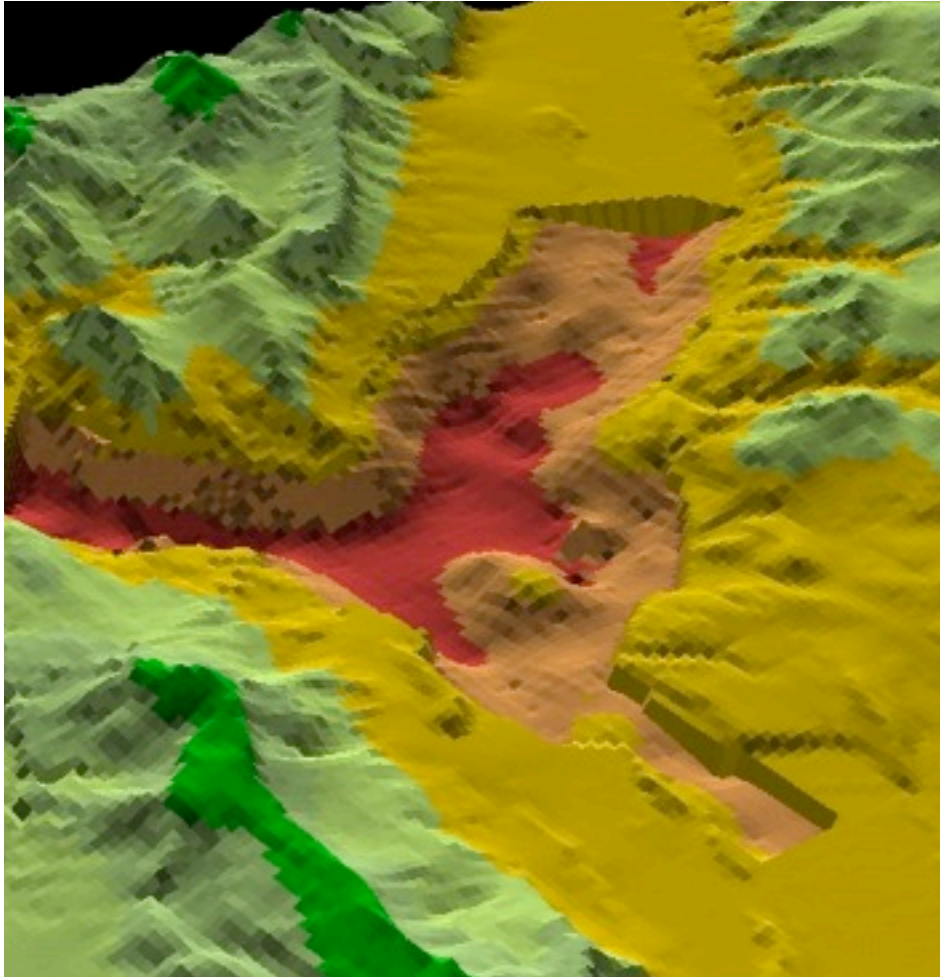
$$O_{ij}(f) = S_i(f)P_{ij}(f)G_j(f)I_j(f)$$

Assumption

- Site response is Linear
- Source effects are common to each recorded data
- Path effects are common to all recorded data

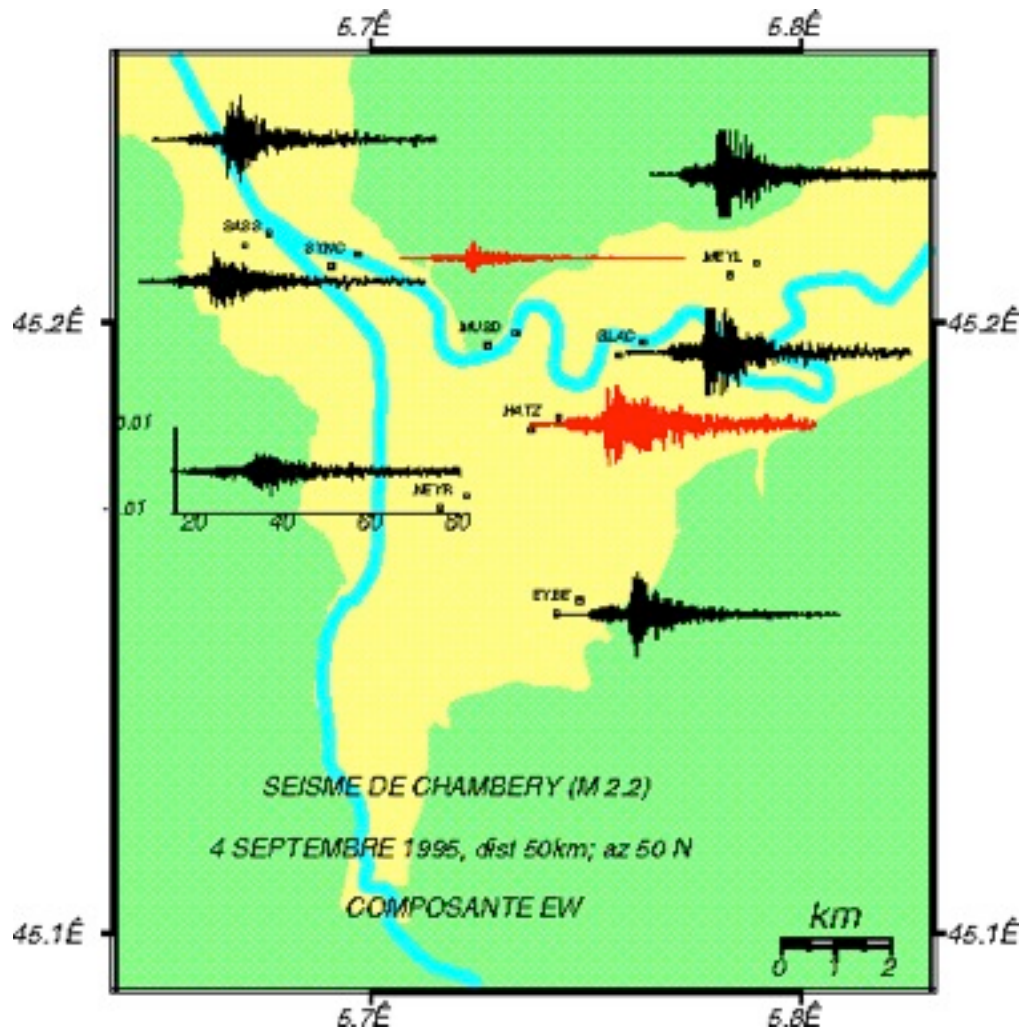


Grenoble example, France



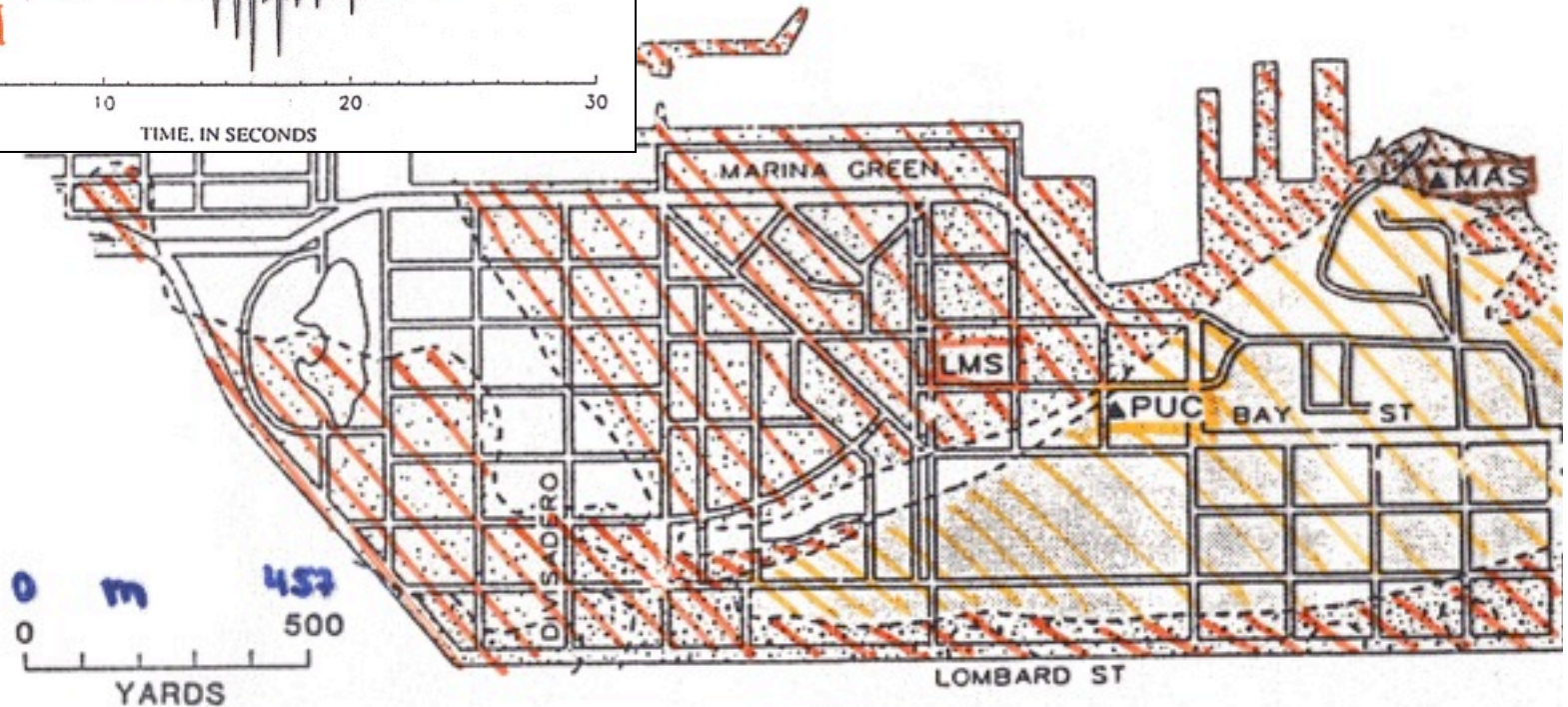
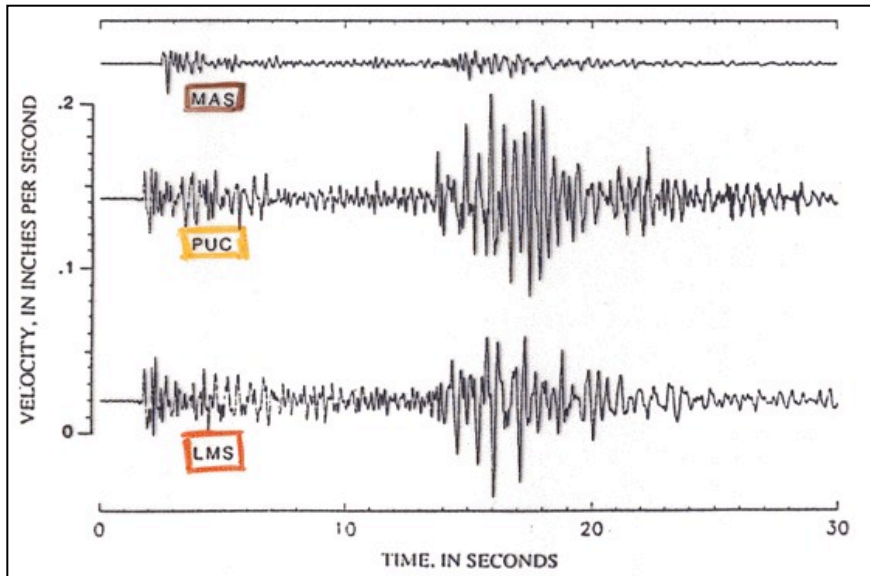
- **Complex geology (3D)**
- **Mountain basin**
- **Fluvial deposits**
- **Glacial deposits**
- **Important urban development**

Surface observations of site effects



- ✓ Amplification of the ground motion
- ✓ Increment of the signal duration
- ✓ Ground motion variability

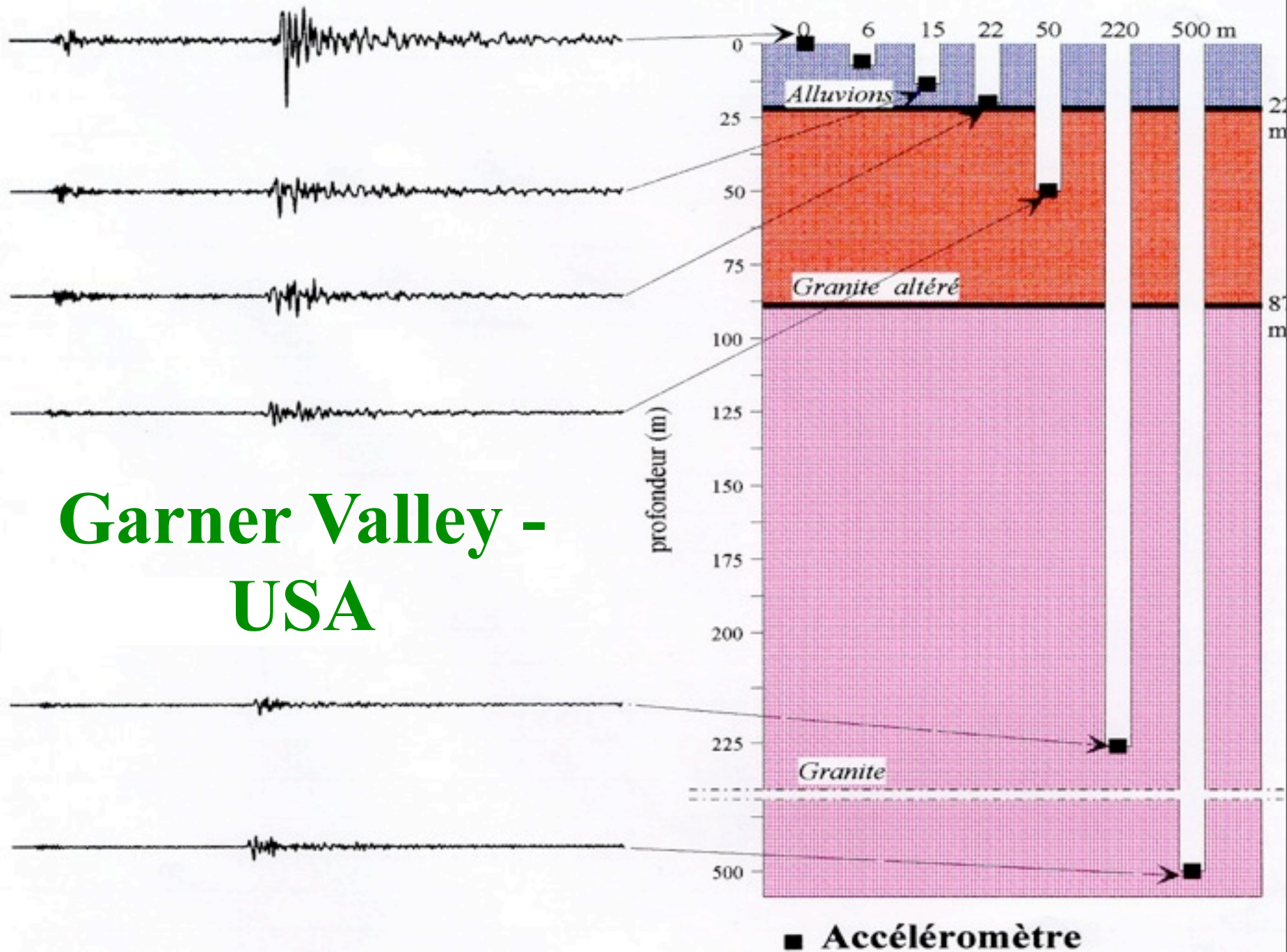
San Francisco Bay (USA)



EXPLANATION

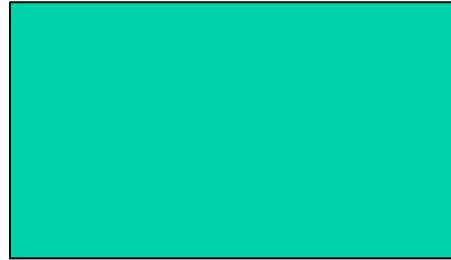
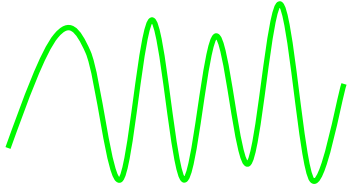
- | | |
|---|---|
|  Artificial fill |  Alluvium, undivided |
|  Modern beach deposits |  Franciscan assemblage—Sandstone |
|  Dune sands |  Seismic station |

Garner Valley - USA



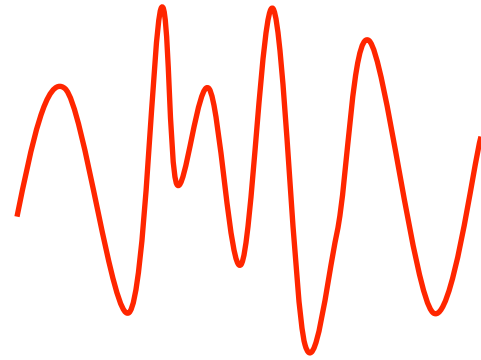
Site effect definition

**Input signal
(bedrock)**



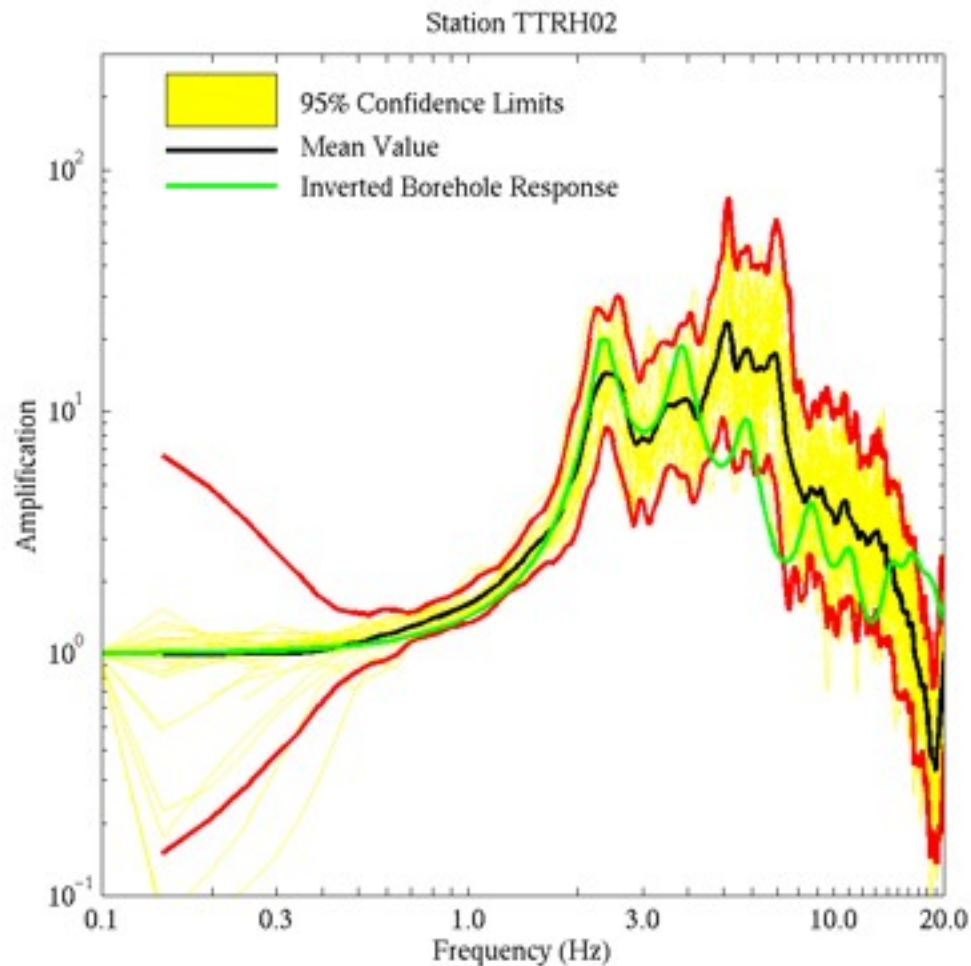
Soil deposit

**Output signal
(sediment)**



Site effect = Output / Input (deconvolution)

Site response quantification



- The response is broadband
- The mean value is stable

Site effects

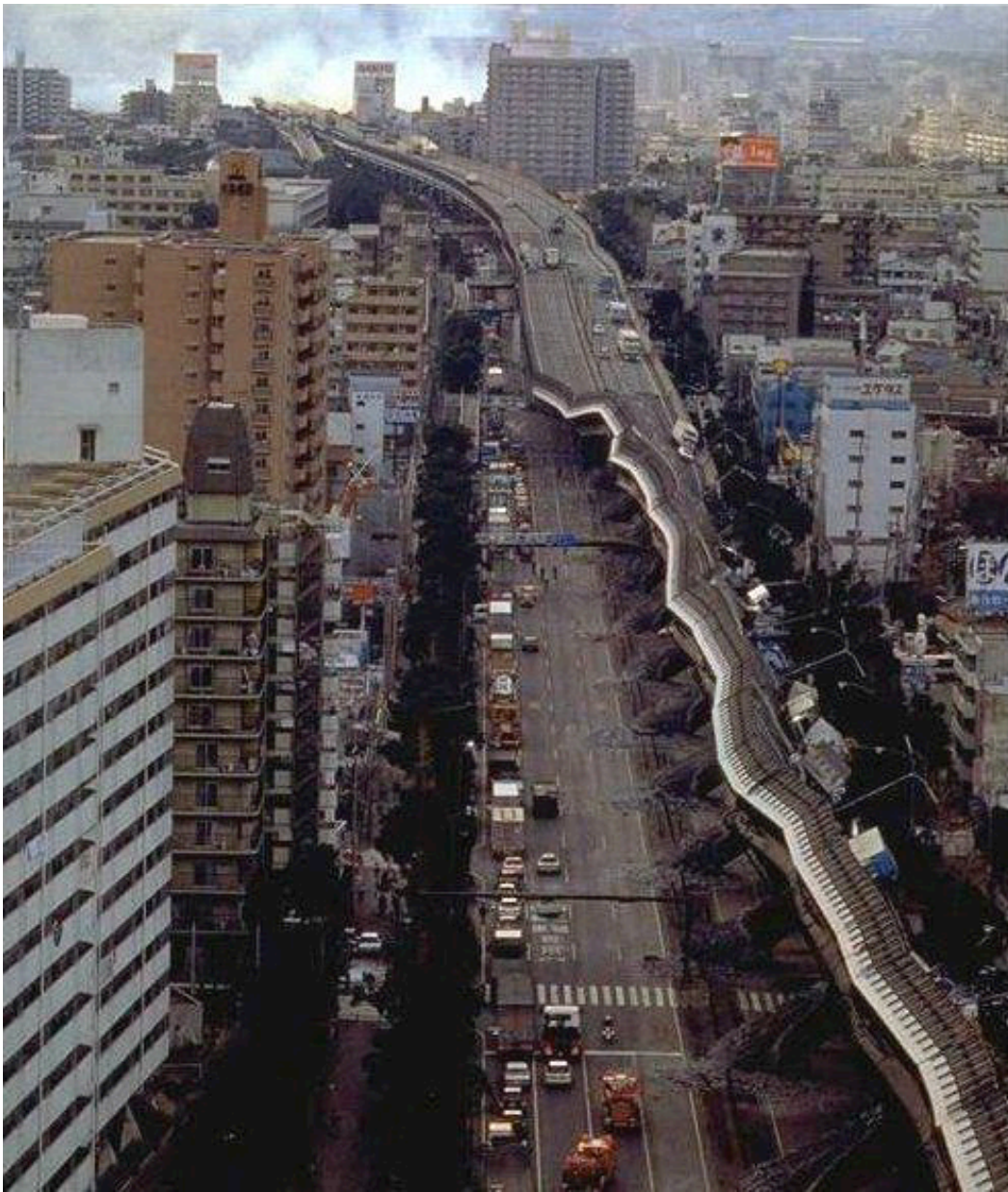
- **Definition:** Influence of local geology on the seismic wave propagation. **Site response is measured using the so-called transfer function**
- **Linear site effects:** the transfer function is independent of the input
- **Nonlinear site effects:** strong feedback between the input and the medium

Engineers design earthquake resistant structures including site effects (if present)

Empirical Evidence of Site Effects

Northridge M6.7, 1994 (USA)





Kobe M6.9, 1995 Japan

- Near source effects
- Site effects
- Bad design

Theoretical Computation of Site Response

Site effects - physical basis

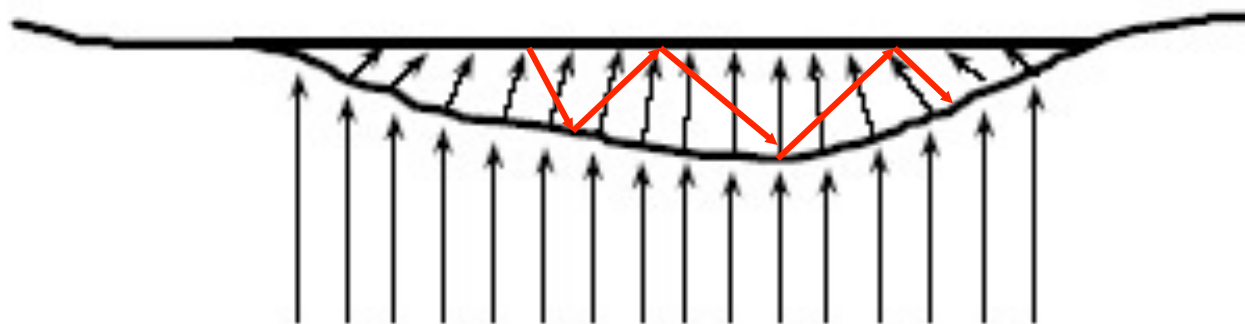
Effect of the local geology on the ground motion

- Refraction, diffraction, focalization
- Trapped waves
 - vertical reverberations
 - horizontal reverberations

! + nonlinear soil behavior !

Consequences

- Constructive interference: amplification
- Trapped waves: increase of the seismic duration
- Resonance of fundamental and harmonic modes

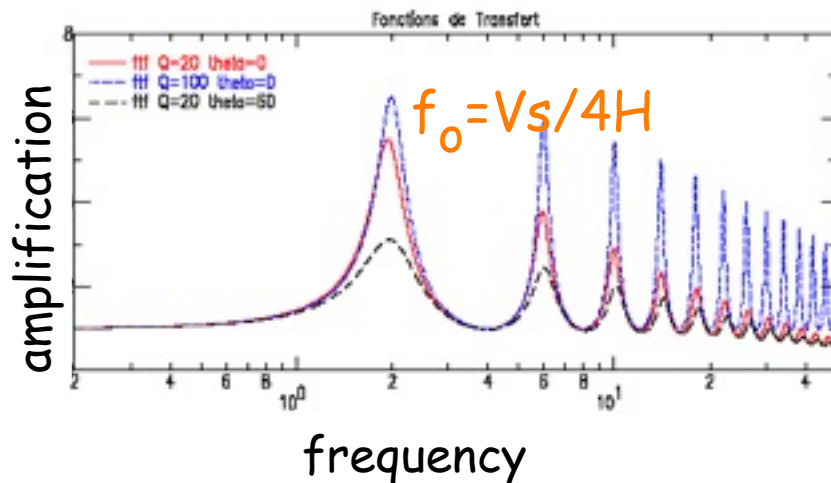
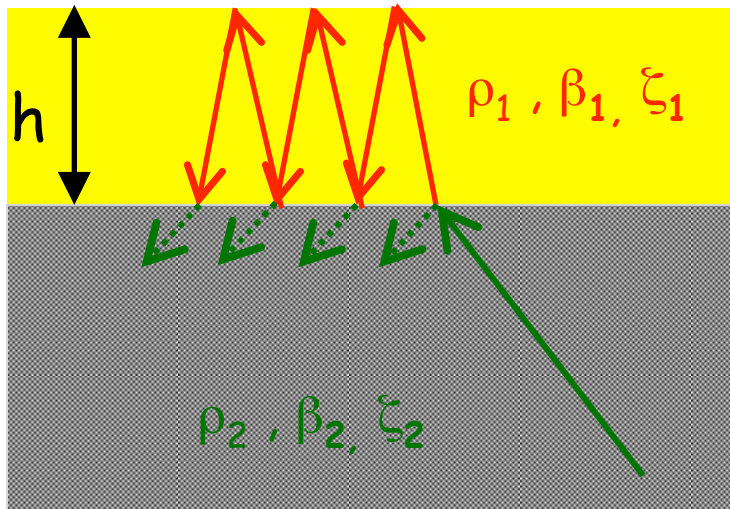


Bard (2006)

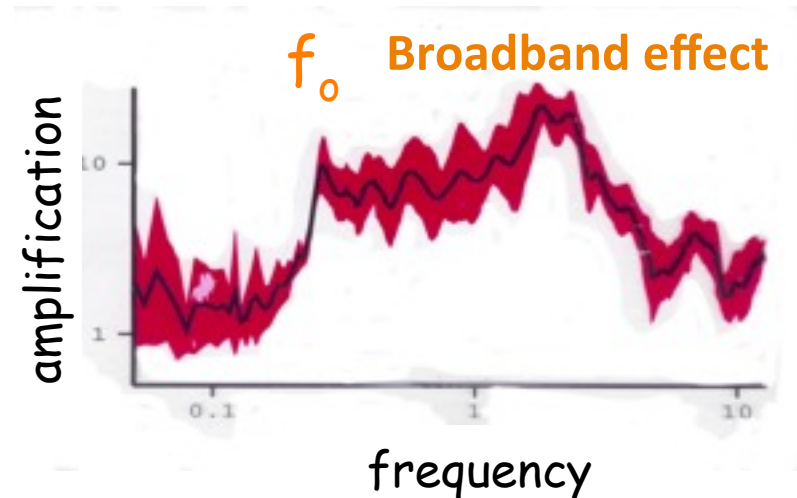
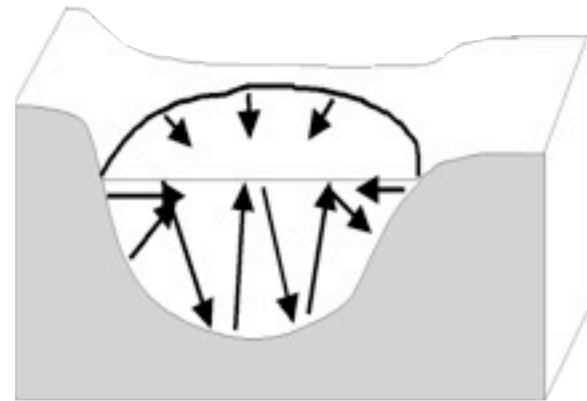
Where does the amplification come from?

Bard (2006)

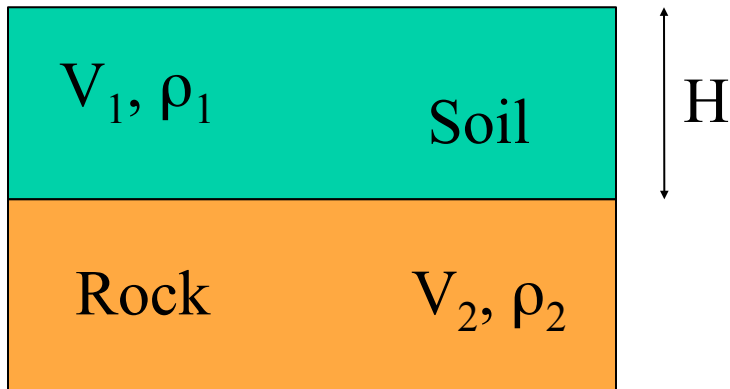
1) 1D case:
vertical reverberations



2) 2D / 3D case:
Lateral reverberations



Simplified Computation (1D)



Amplification

$$A = \frac{1}{\sqrt{\cos^2(2\pi fH/V_1) + [\xi(2\pi fH/V_1)]^2}}$$

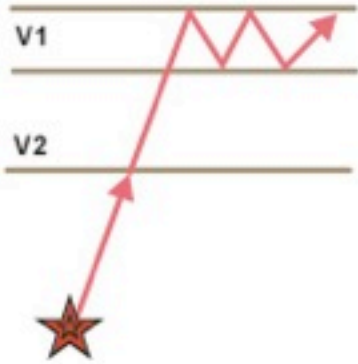
Resonance Frequency

$$f_0 = \frac{V_1}{4H}$$

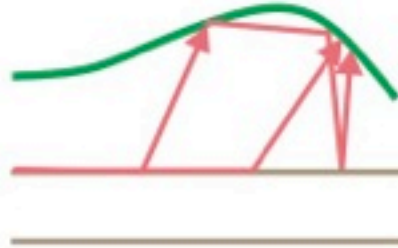
Why do we have site effects?

Low velocity

$V1 \ll V2$



Topography



Basin Form

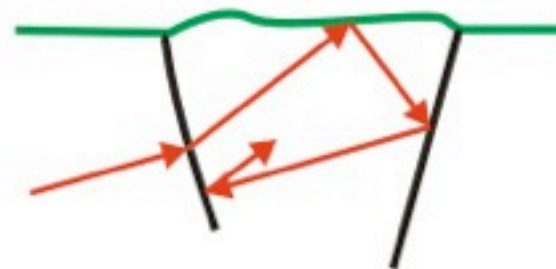


New Effects (Taiwan)

Dipping Fault



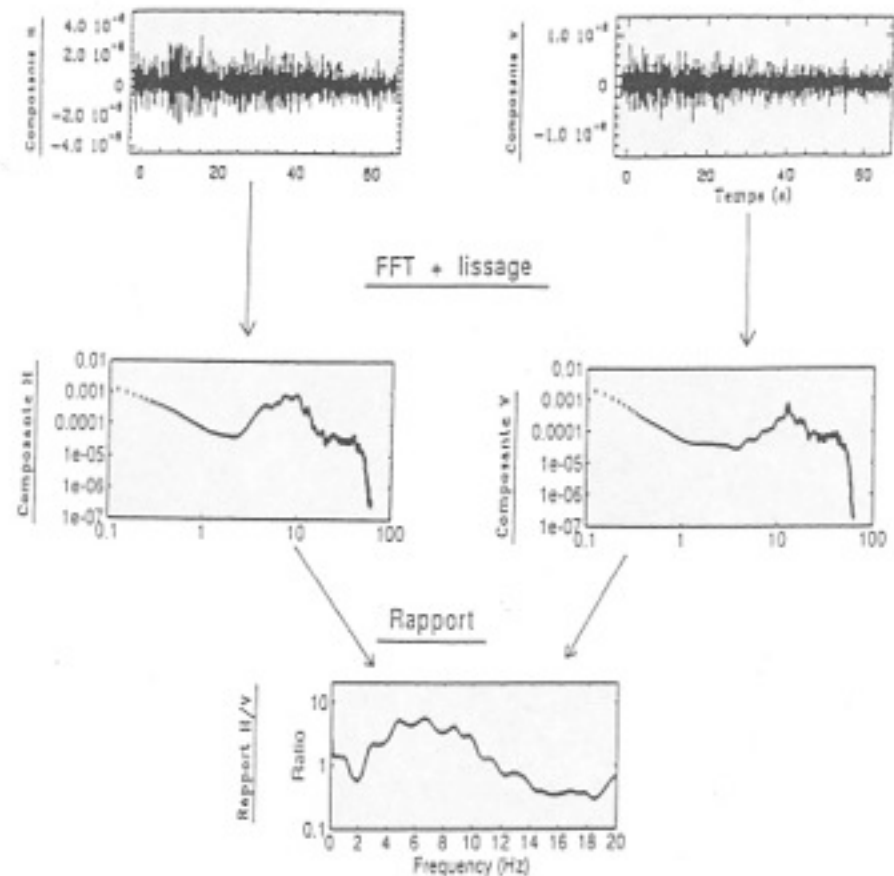
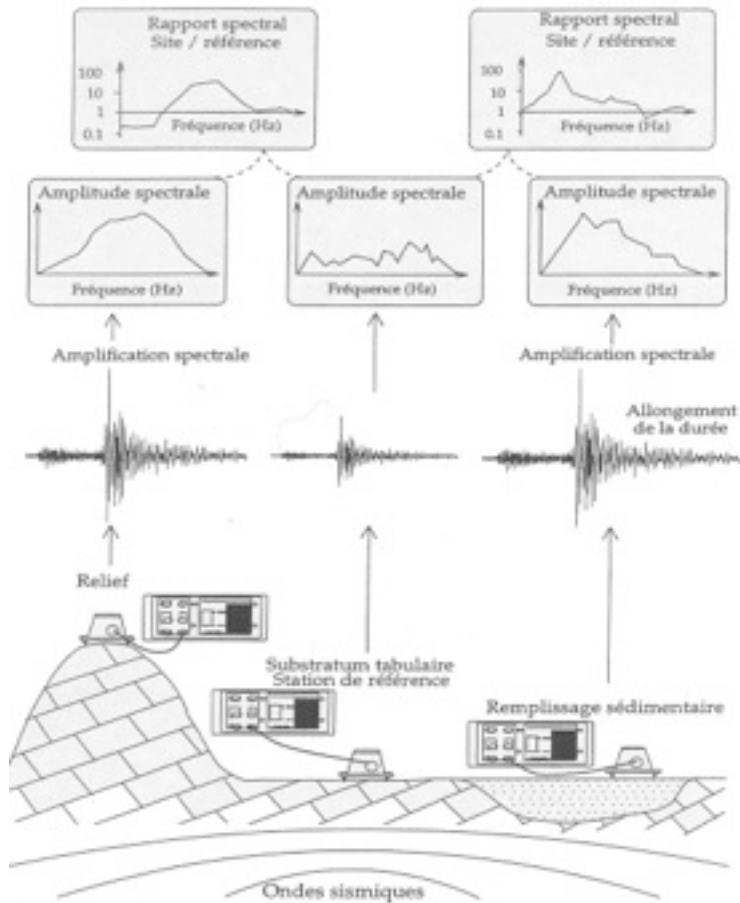
Strike Parallel Faults



Empirical estimation of site effects

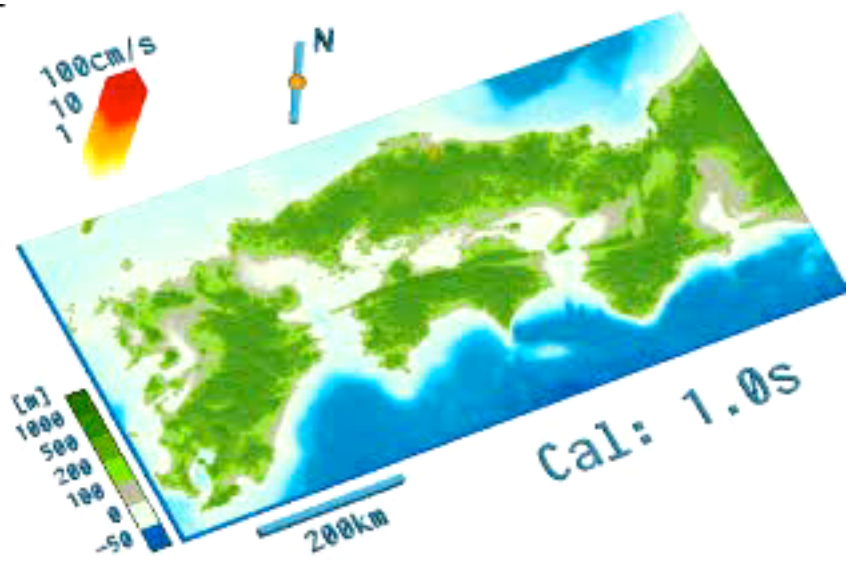
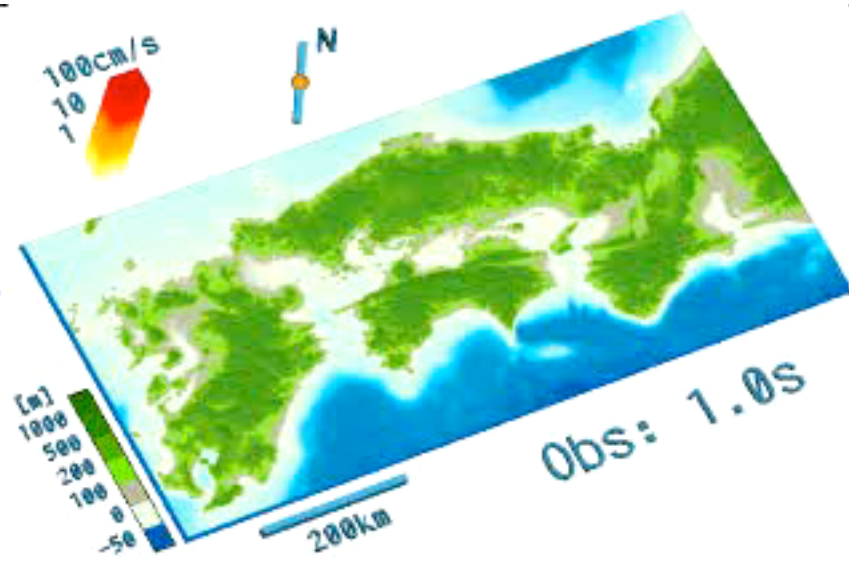
Spectral ratios (earthquakes)

H/V (noise)

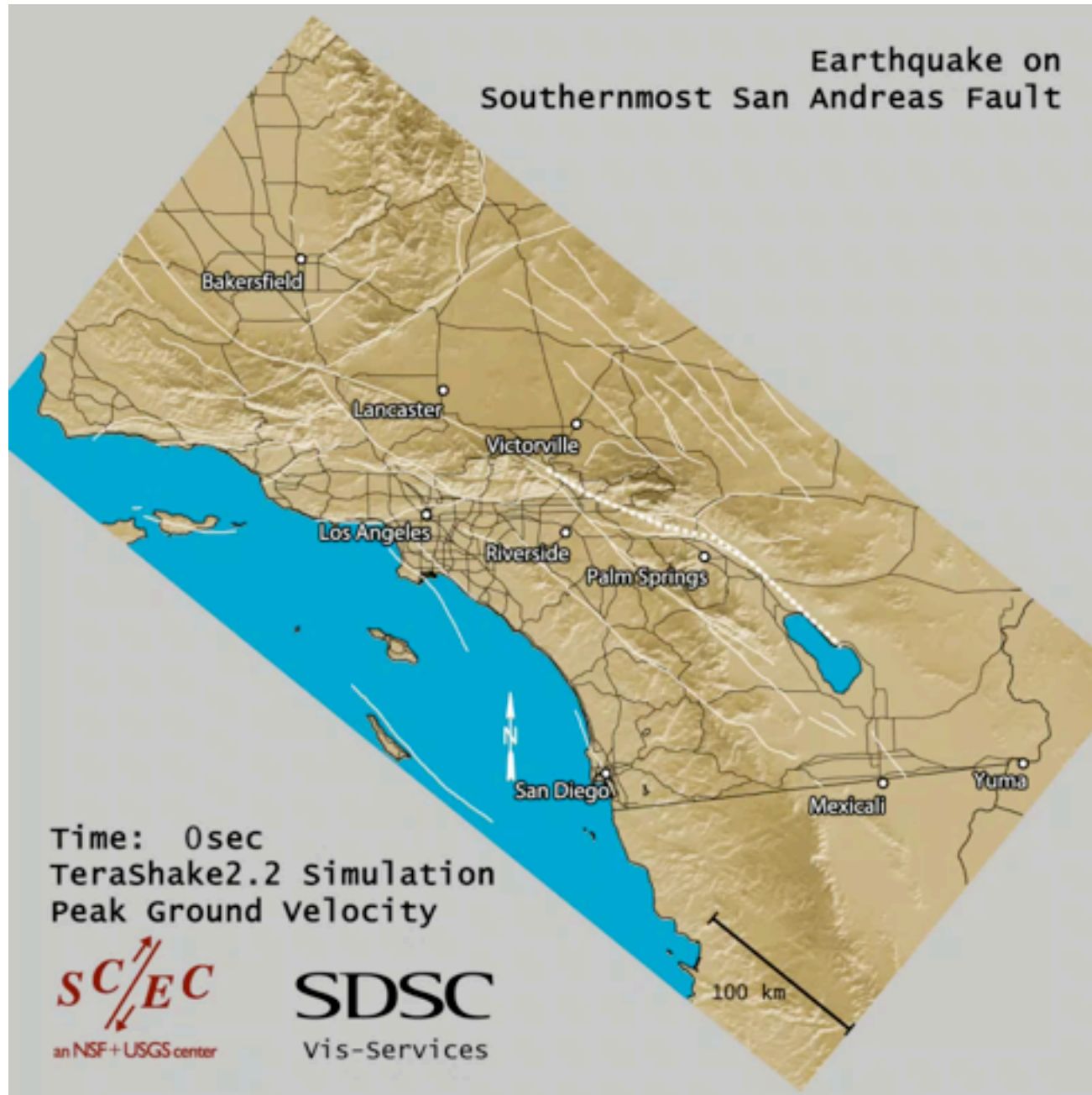


Resonance frequencies and related soil amplification

Site effects in complex media (movies)

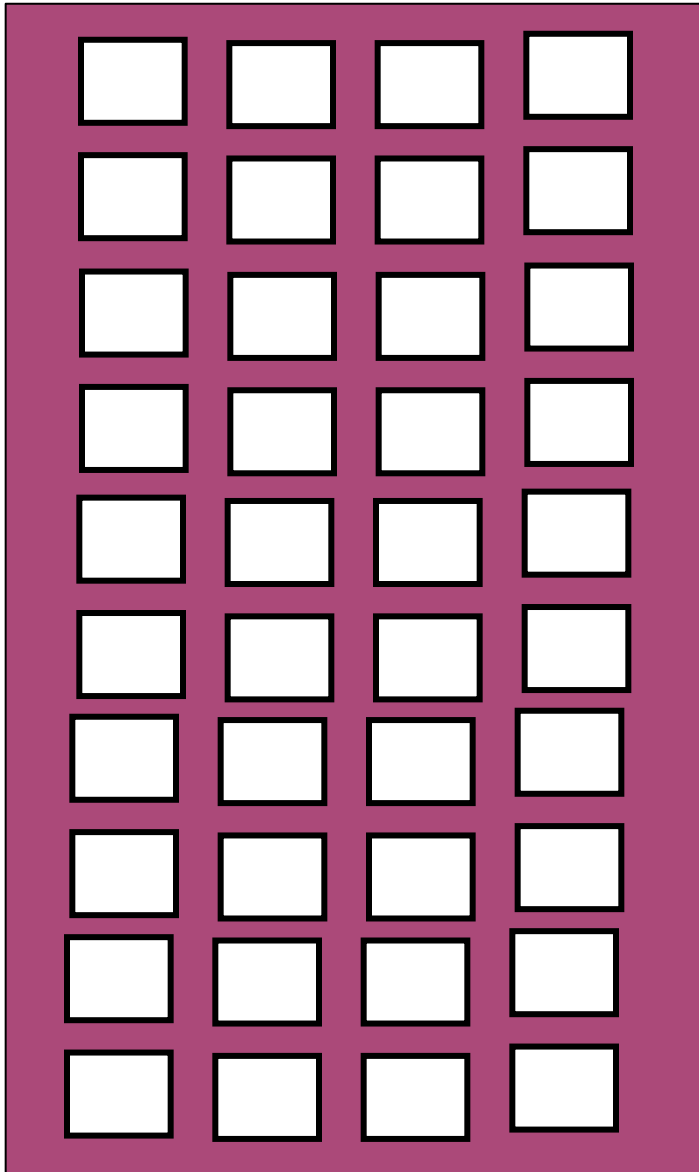


Earthquake on Southernmost San Andreas Fault



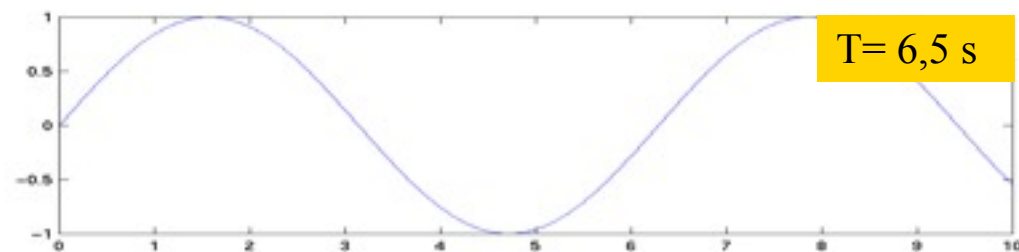
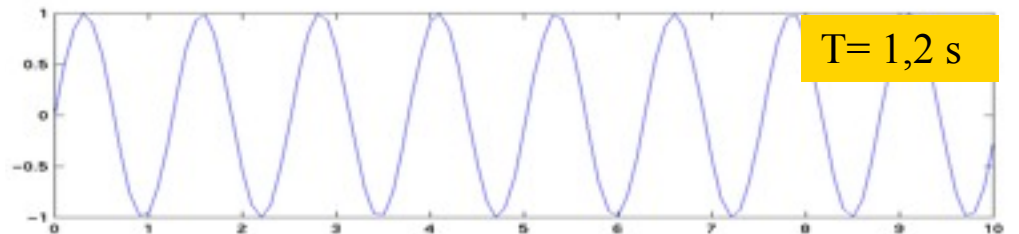
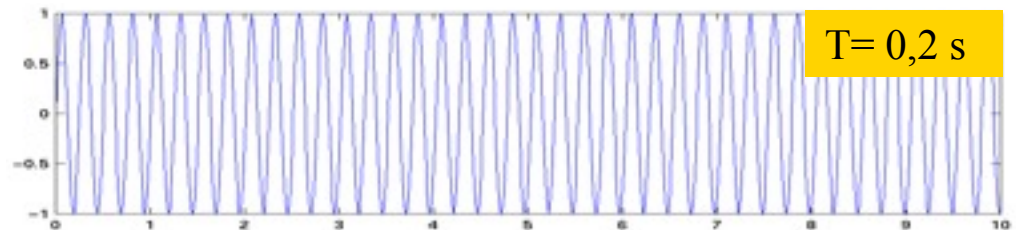
Site Effects and Urban Planning

A structure has a fundamental period of vibration

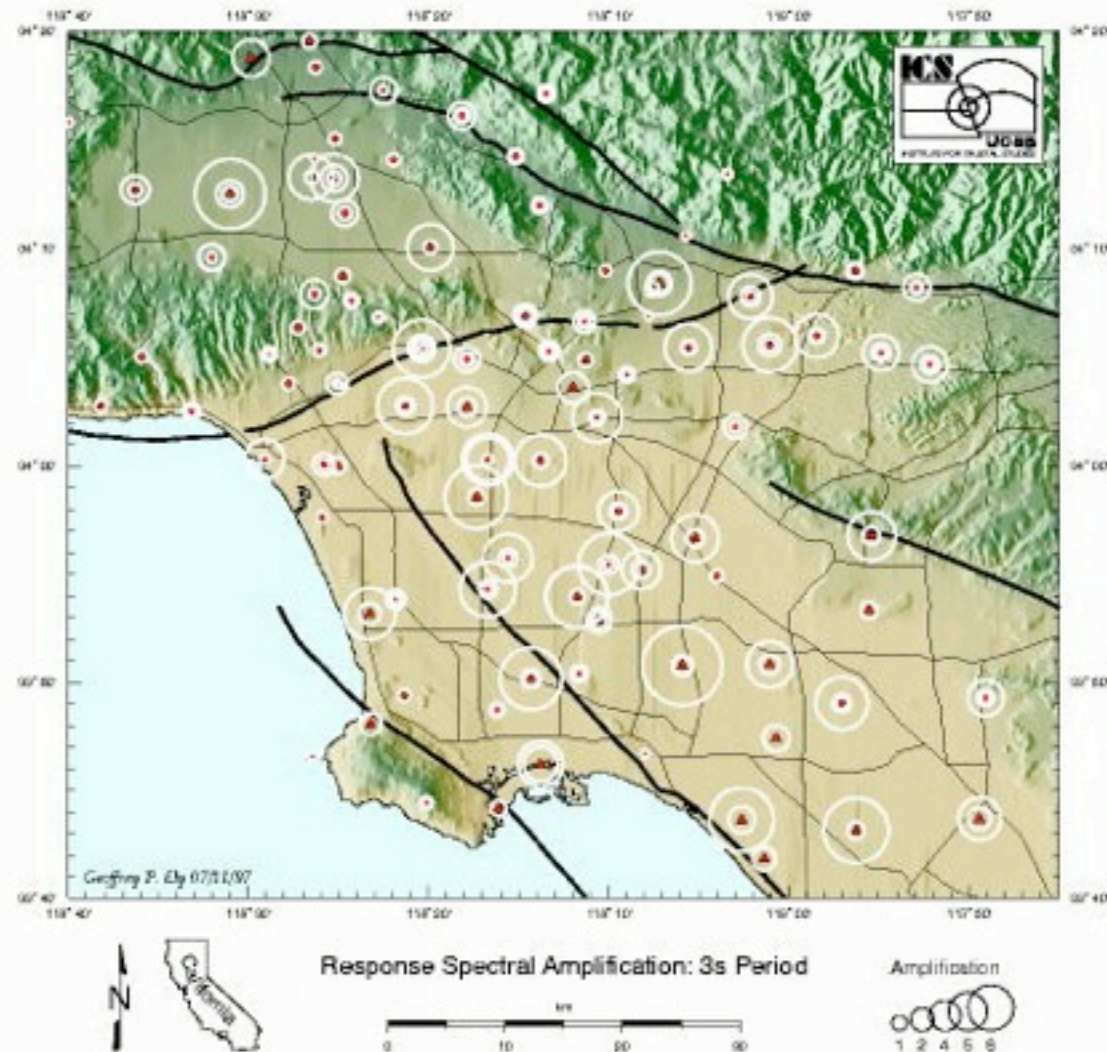


10 stories

$$T_0 \approx \frac{N}{10} = 1s$$



Amplification: Los Angeles at T=3s



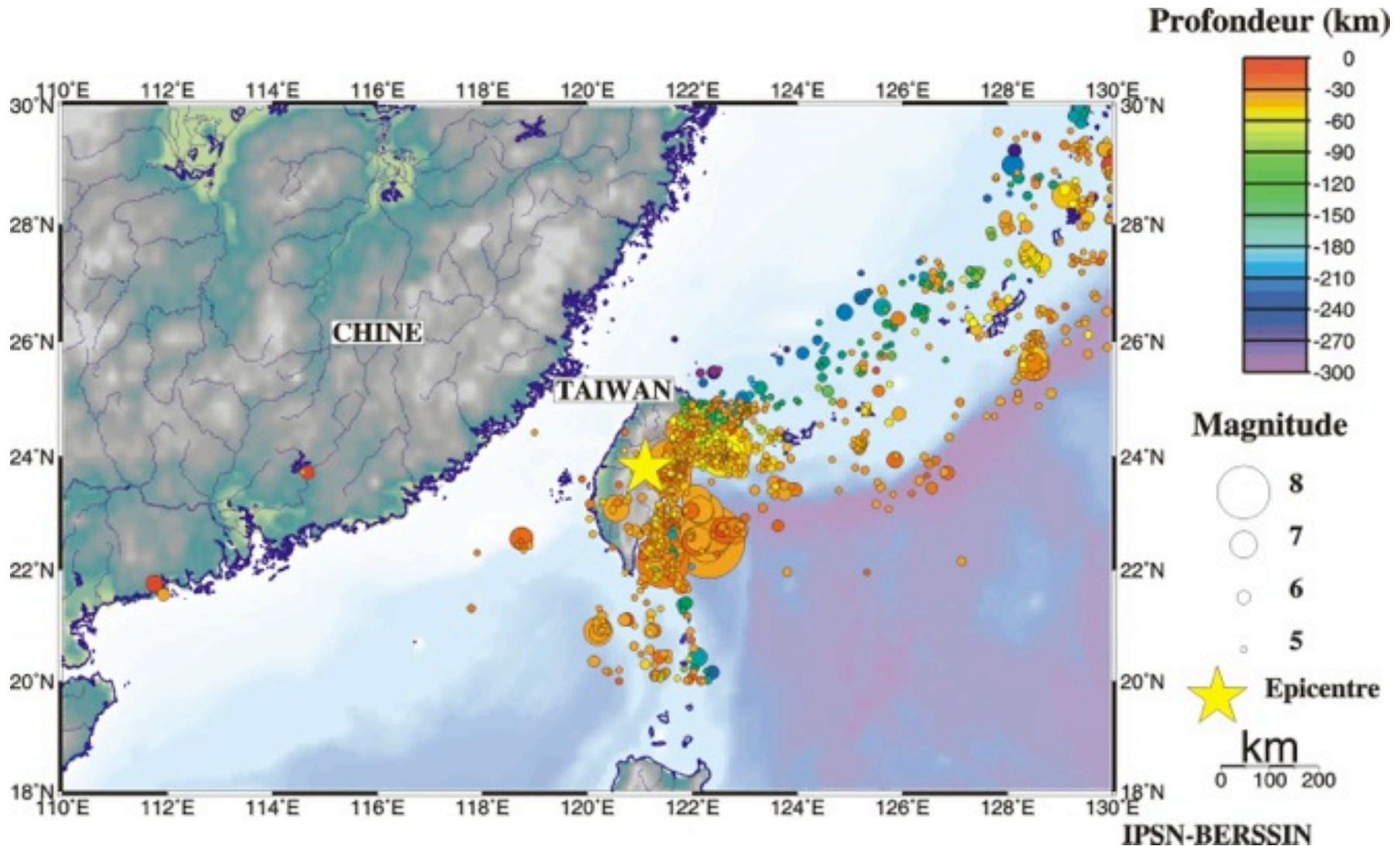
Soil Classification

Ground Type	Parameter V_{s30} (m.s^{-2}) [EC8]
A	>800
B	$360 - 800$
C	$180 - 360$
D	<180
E	C or D layer, underlain by stiffer material with $V_s > 800 \text{ m.s}^{-2}$

V_s : average shear wave velocity in the first 30 meters

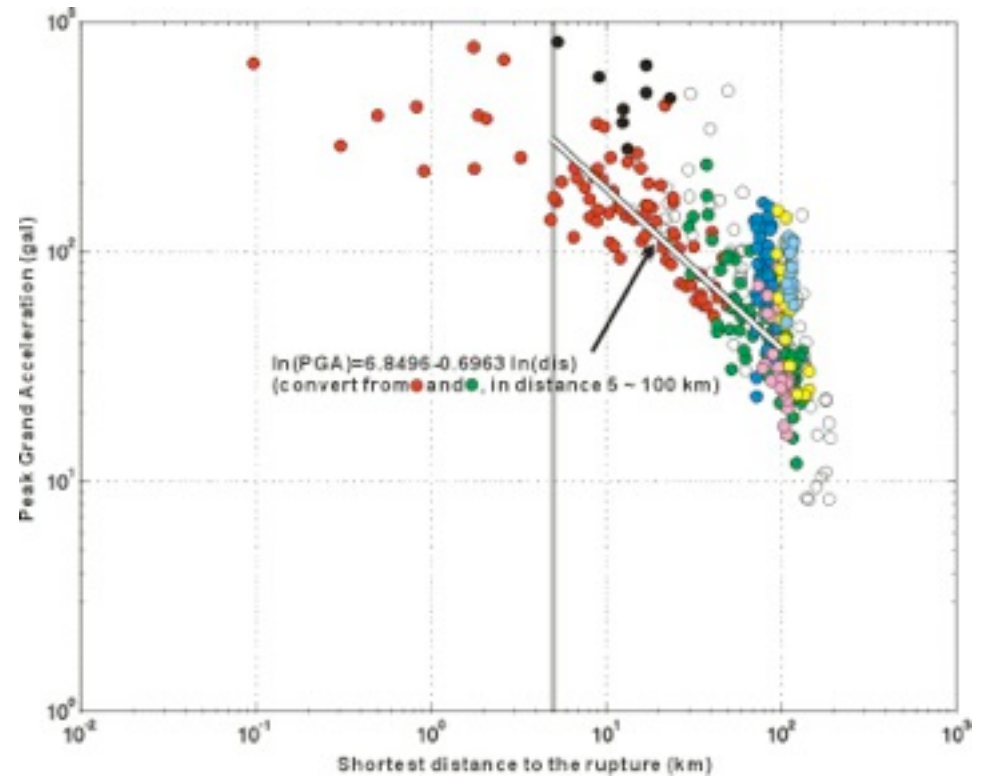
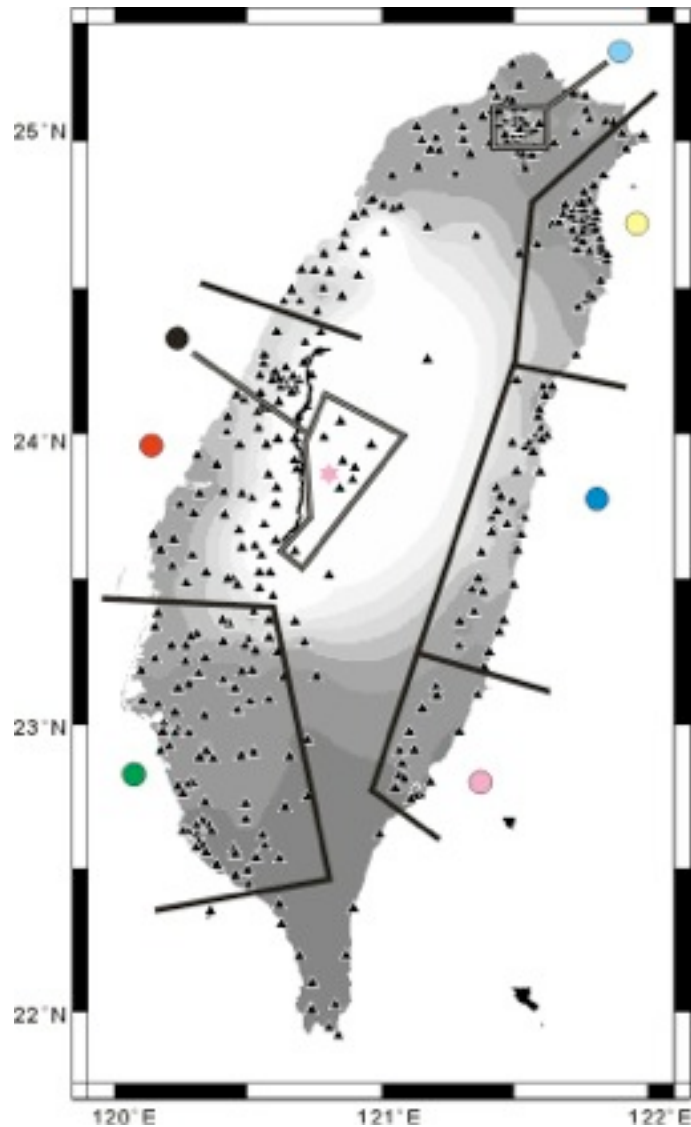
Site Response and Ground Motion Attenuation

Chi-Chi M7.2, 1999 (Taiwan)



PGA – Distance Distribution

PGA – Distance Distribution



Nonlinear Site Effects

Chi-Chi M7.2, 1999 (Taiwan)



Chi-Chi M7.2, 1999 (Taiwan)

Vertical displacement
(~10 m) of the dam



Chi-Chi M7.2, 1999 (Taiwan)



Examples of landslides



Tottori, Japan 2001



Chi-Chi, Taiwan, 2000

Liquefaction examples (free field)



Liquefaction of the soil foundation



Soil liquefaction of the bridge's soil foundation



Kobe: Jan. 1995, M6.9

Vertical Settlement



Photo 5. Sand boils and seismometer at the Port Island Borehole Array Station installed by Kobe Development Bureau

The borehole array station installed in northwest of Port Island recorded ground motion at four depths (0 m, -16 m, -32 m, -83 m). Extensive sand boils were observed at the same site. (by F. Oka, Gifu University).

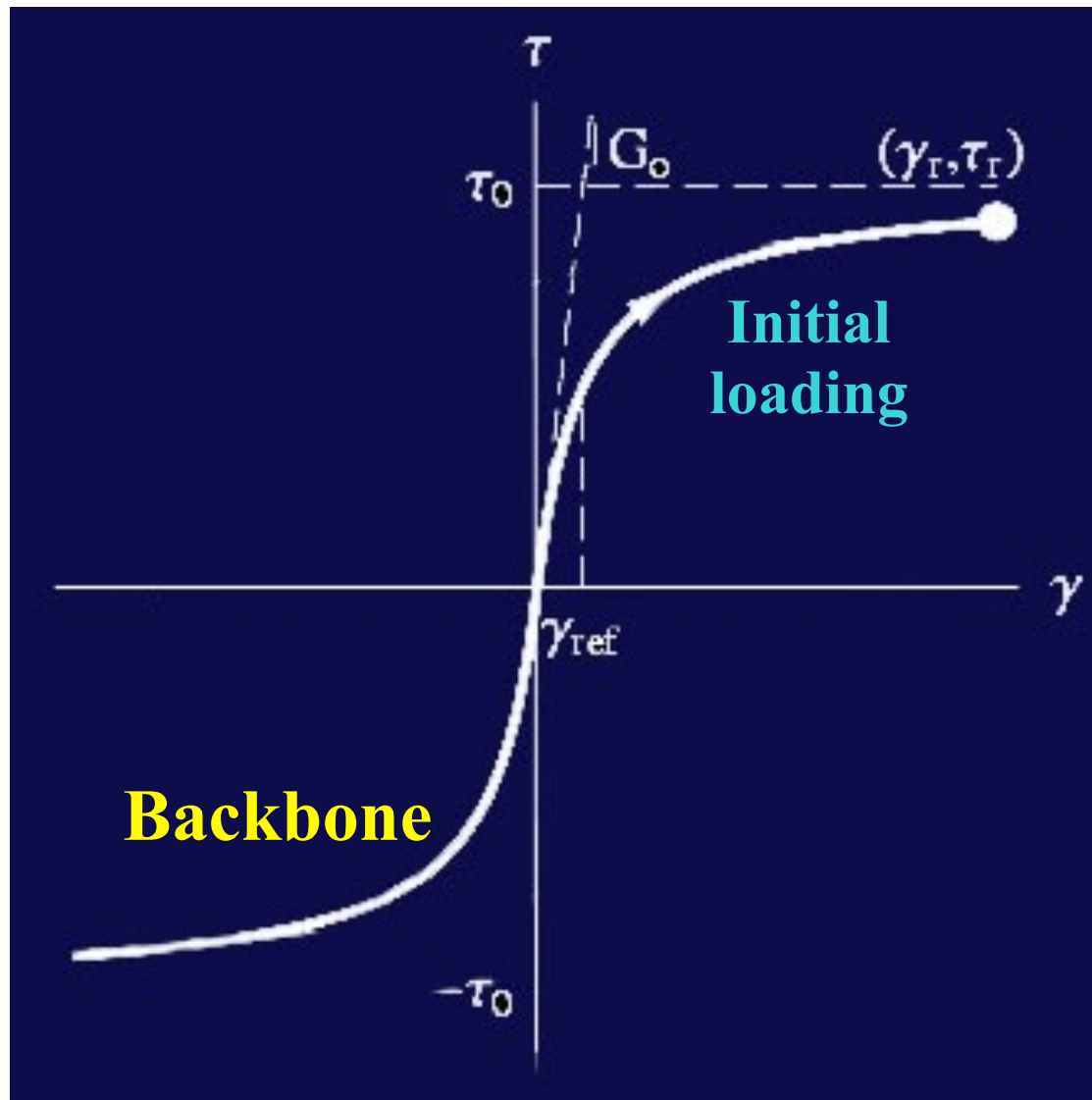


Photo 11. Damaged caisson type quay walls at Port Island in Kobe Port

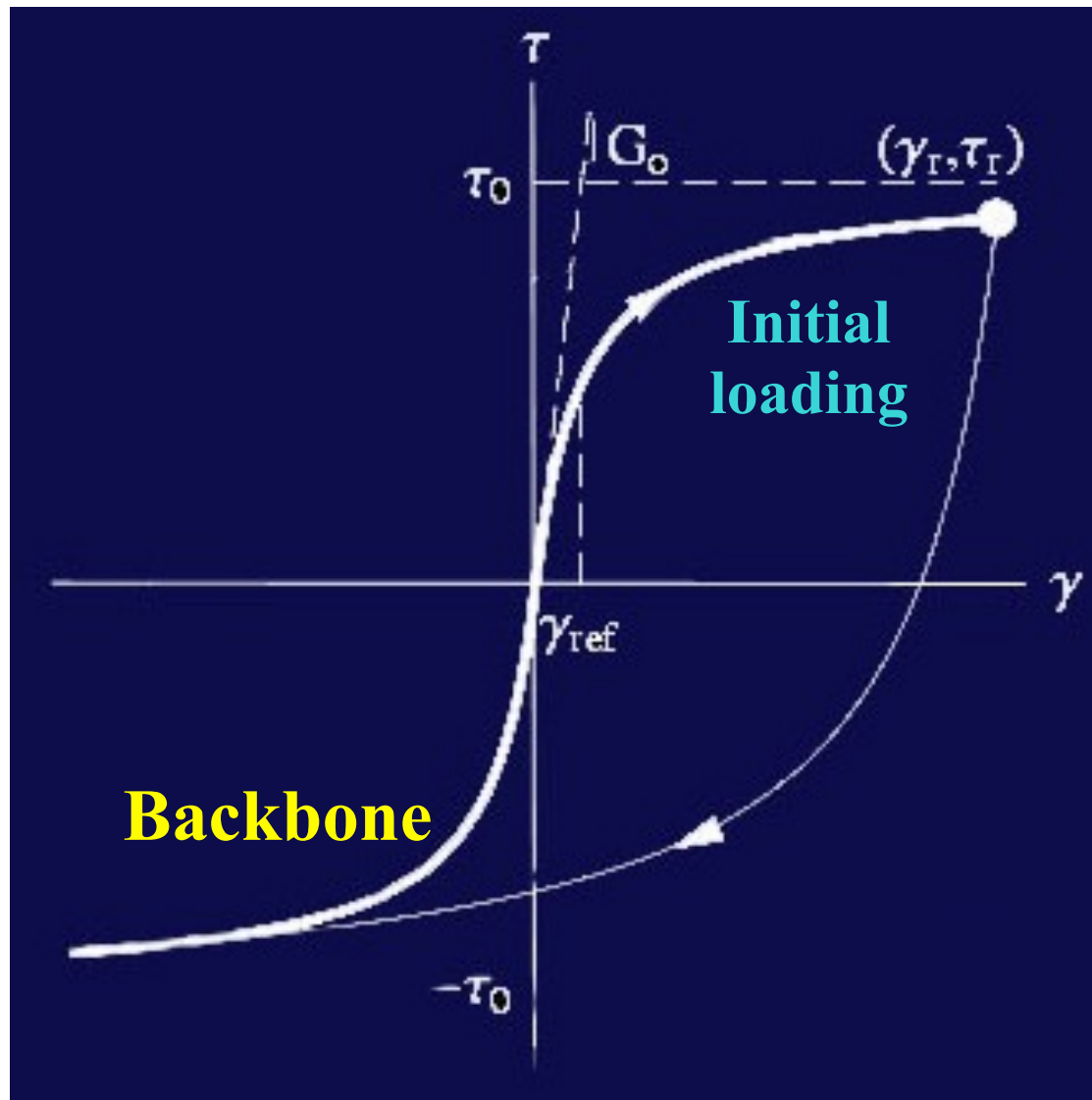
Many caisson type quay walls were damaged in Kobe Port. Seaward displacements of the caisson walls were about 5 m at maximum and 3 m on an average. The soils behind the wall settled accordingly. (by S. Iai, Ministry of Transport)

Lateral Spreading

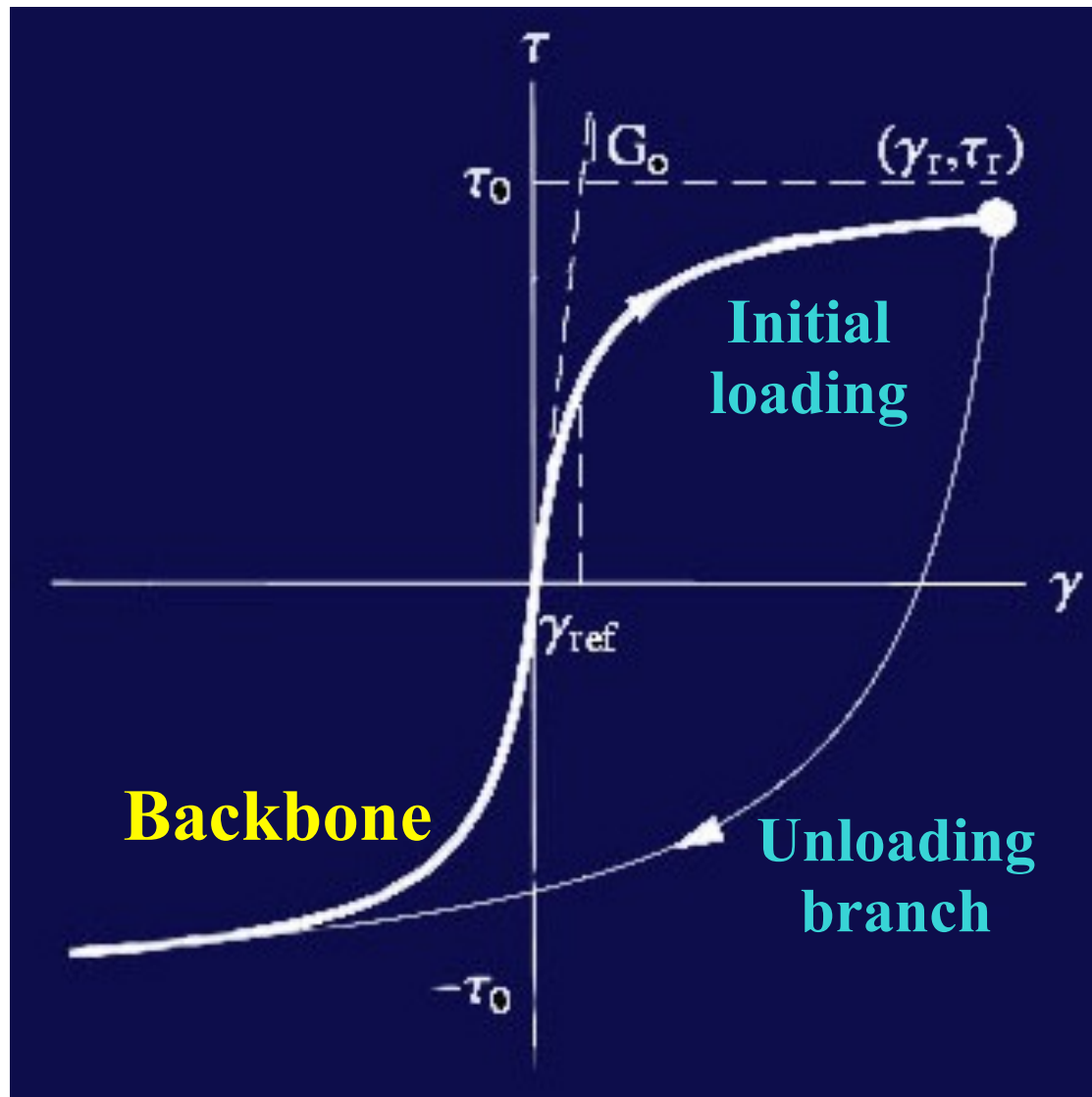
Hysteresis model



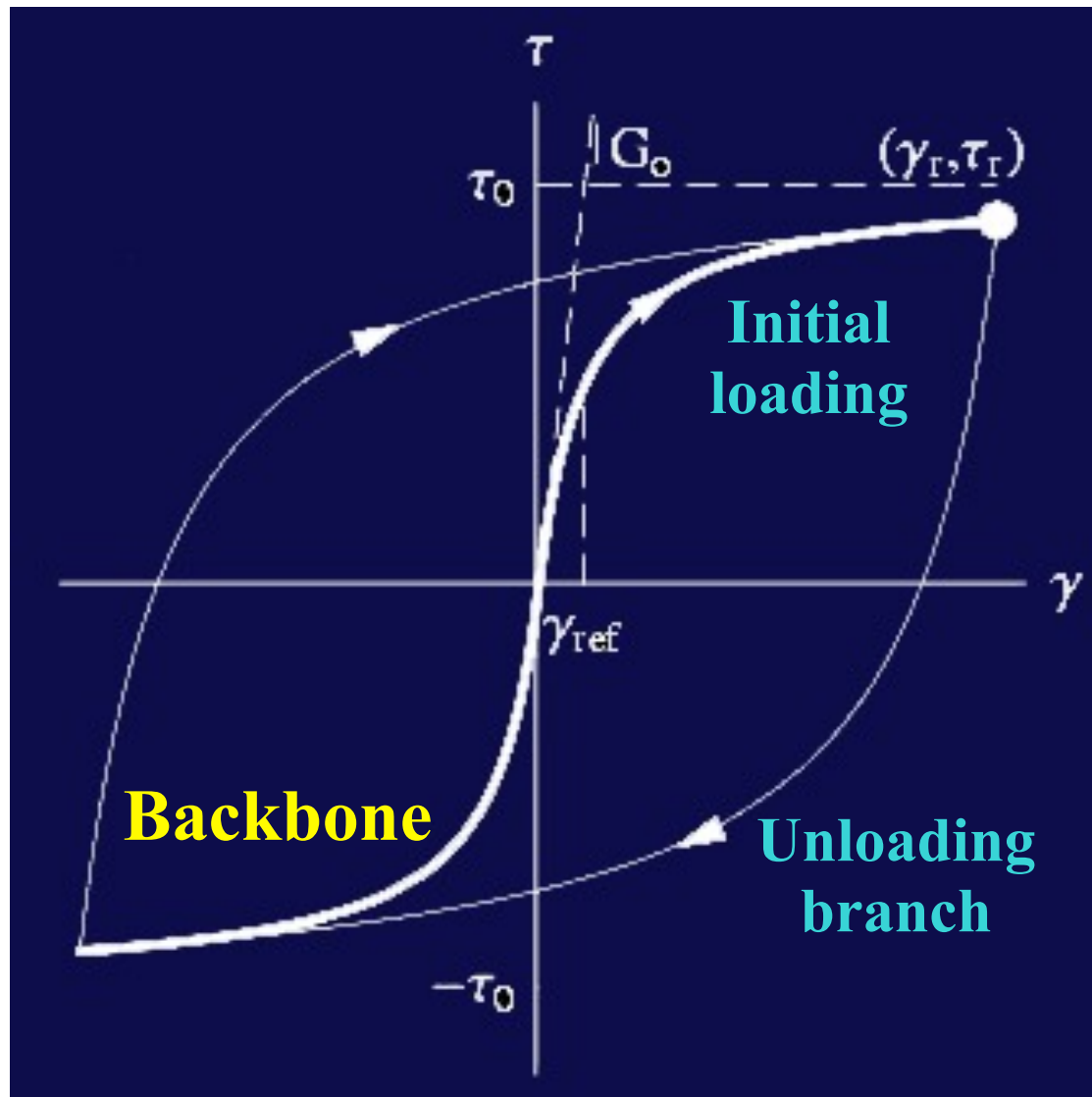
Hysteresis model



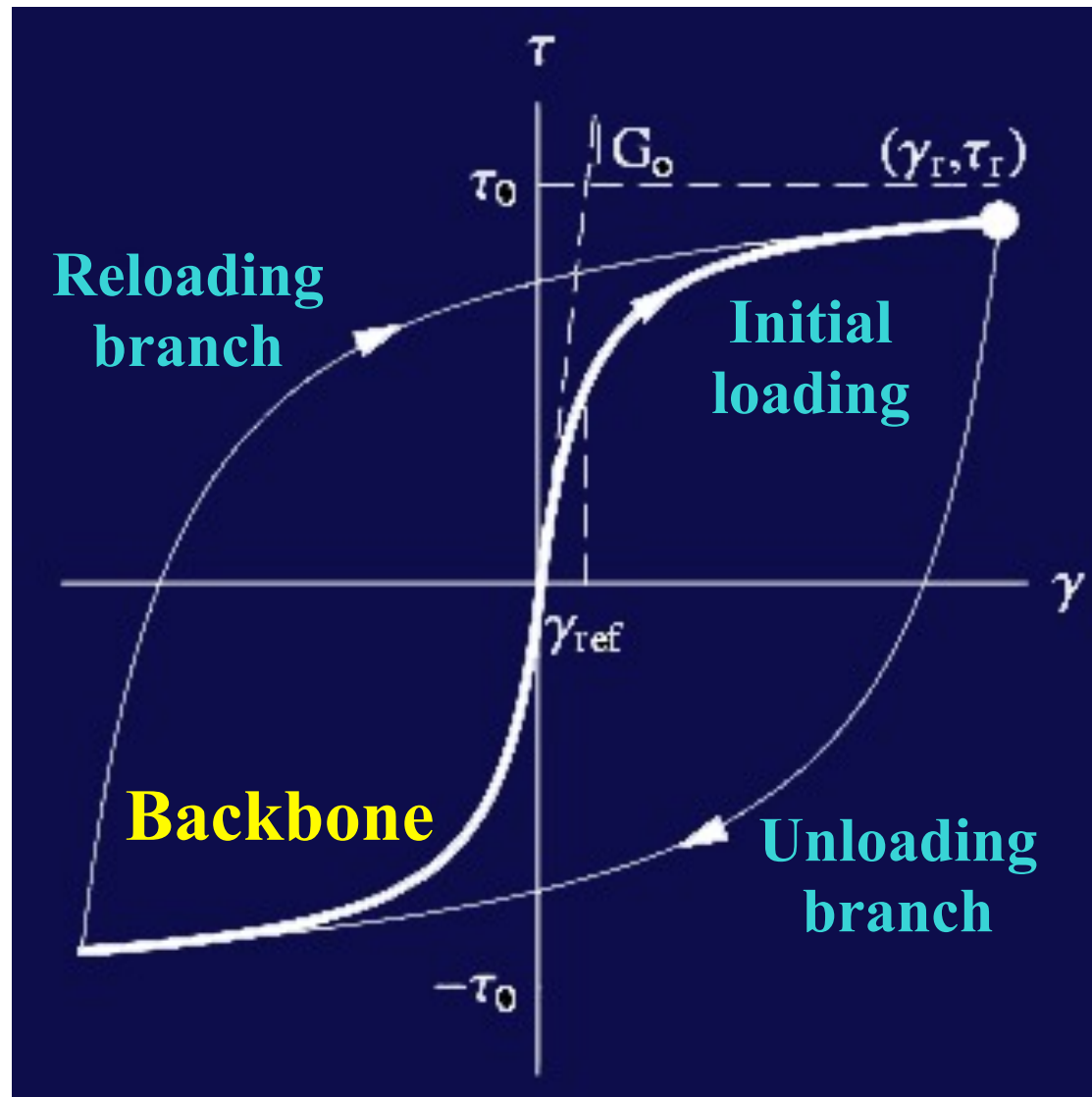
Hysteresis model



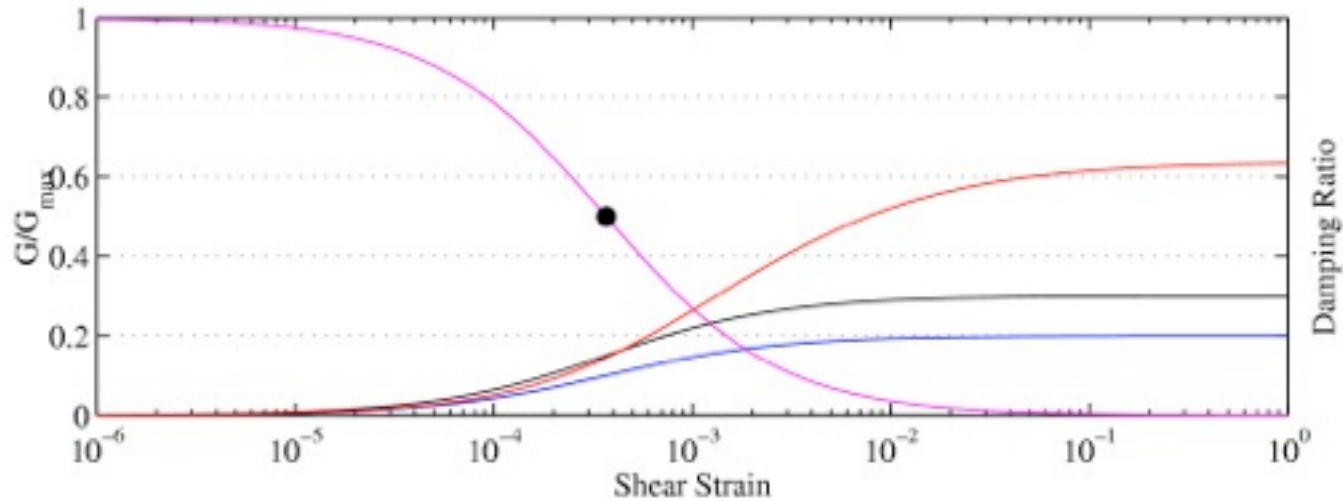
Hysteresis model



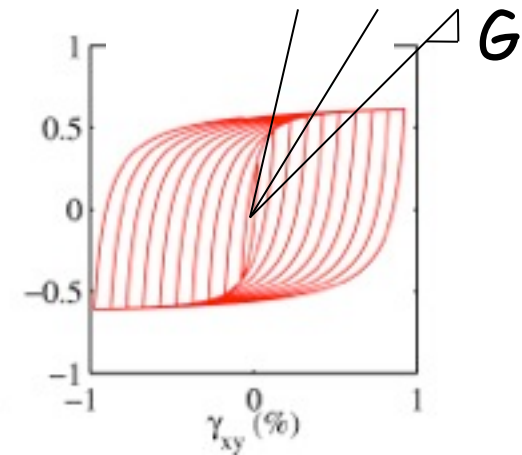
Hysteresis model



Modulus degradation and damping curves



- The shear modulus decreases for increasing deformation levels
- The damping increases proportionally to the deformation



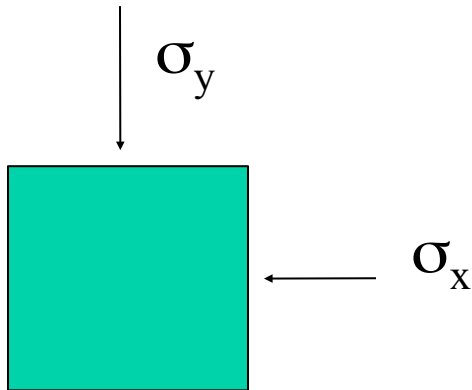
How is the transfer function affected?

1. The shear modulus is computed as $G = \rho \beta^2$
2. The fundamental frequency of the soil is $f_0 = \beta / (4H)$
3. If G changes, so does β :
if $G(-) \rightarrow \beta(-) \rightarrow f_0(-)$

✓ **Deamplification: the damping increases (pay attention)**

✓ **Increase of the signal duration (long period waves arrive later)**

The effect of depth



Initial conditions

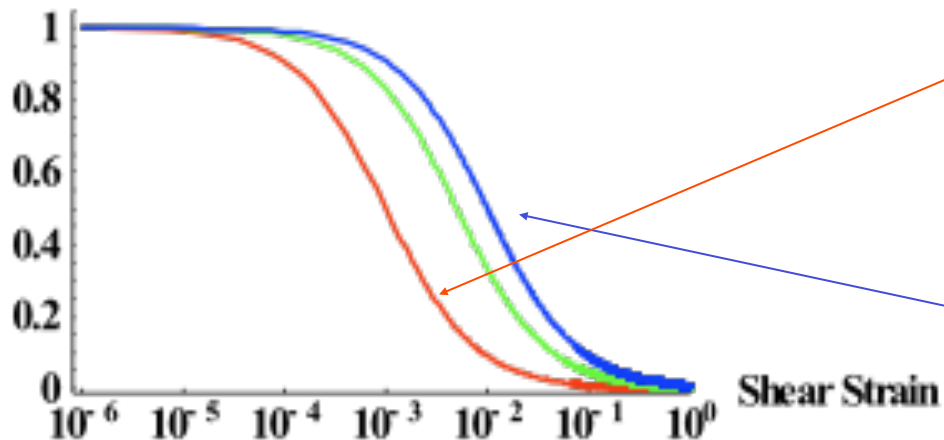
$$\sigma_{y0} = \rho H g$$

$$\sigma_{x0} = K_0 \sigma_y$$

$$\sigma_{m0} = (2\sigma_{x0} + \sigma_{y0})/3$$

$$\tau_{\max} = \sigma_{m0} \sin(\phi)$$

$G/G_{\max}$



More nonlinearity at shallow depths

More linear at depth

Numerical solution

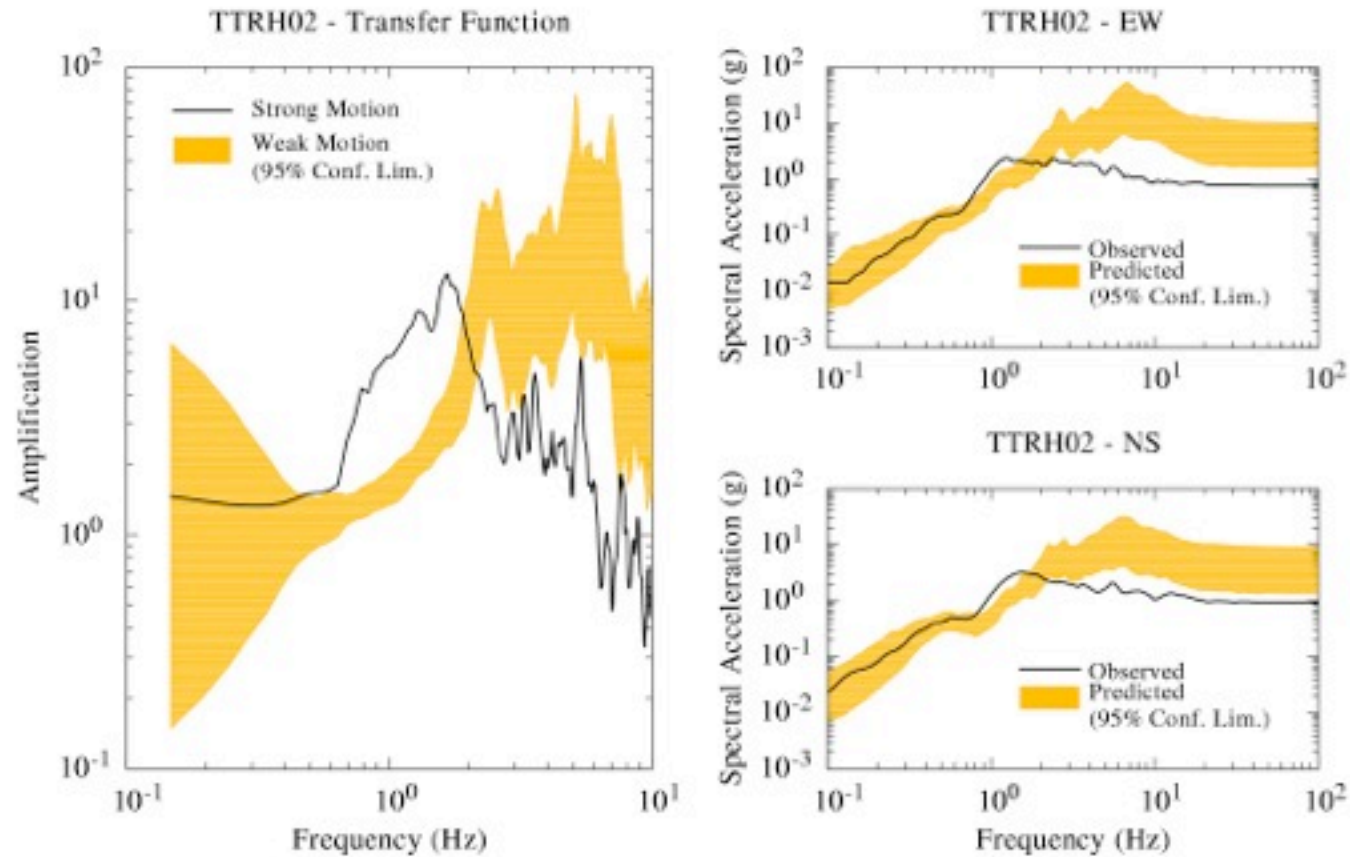
Why?

- There is no analytical solution
- Finite differences, spectral elements, finite elements methods

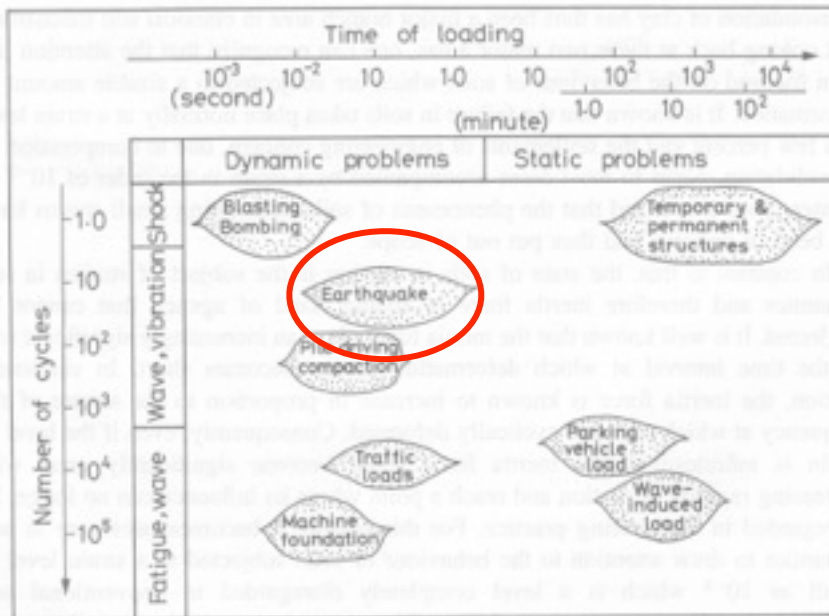
Boundary conditions:

- Surface: free surface effect
- Bedrock: elastic boundary conditions (transmitted waves) or rigid boundary conditions (complete reflection)

Nonlinear Effects: TTRH02 Station (Japan)



Site amplification is different for strong ground motion



Why do we have this difference?



Load duration

Deformation amplitude



Shear strain	10^{-6}	10^{-5}	10^{-4}	10^{-3}	10^{-2}	10^{-1}
	Small strain	Medium strain		Large strain	Failure strain	
Elastic						
Elasto-plastic						
Failure						
Effect of load repetition						
Effect of loading rate						
Model	Linear elastic model		Visco-elastic model		Load history tracing type model	
Method of response analysis	Linear method		Equivalent linear method		Step-by-step integration method	

Note that we do not make any difference between large or small events

EPRI modulus reduction and damping curves

