



# Ultrafast spectroscopy and its applications in biology and physical chemistry

Mikas Vengris, Vilnius University

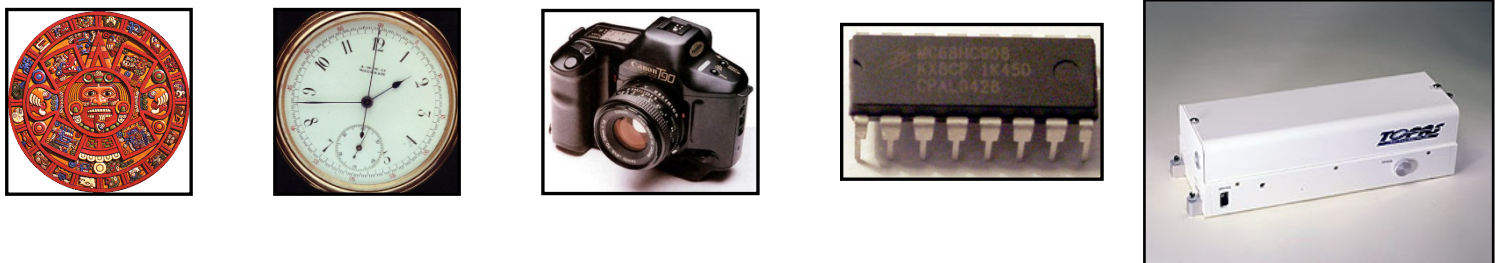
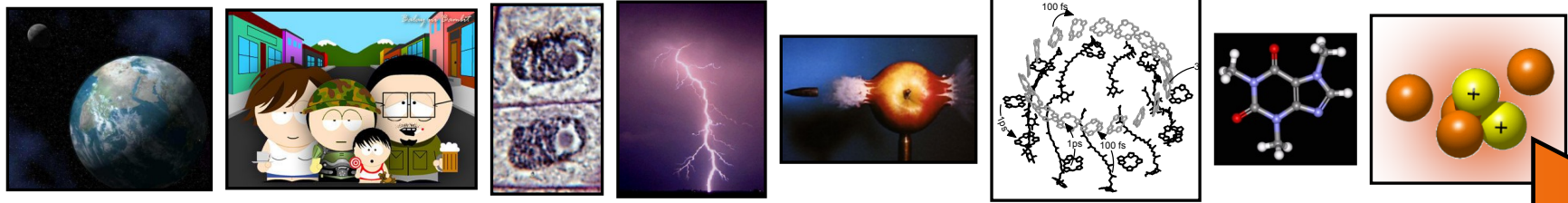
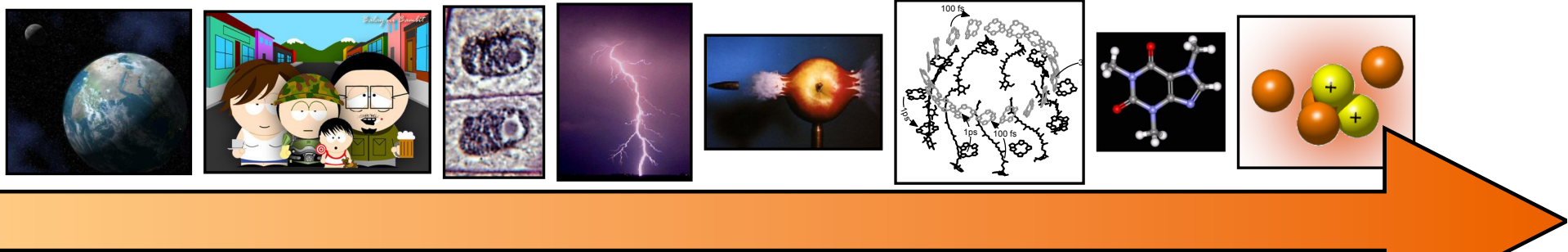
24/02/2017

for the PowerPoint version please contact: [mikas.vengris@ff.vu.lt](mailto:mikas.vengris@ff.vu.lt)

# Outline

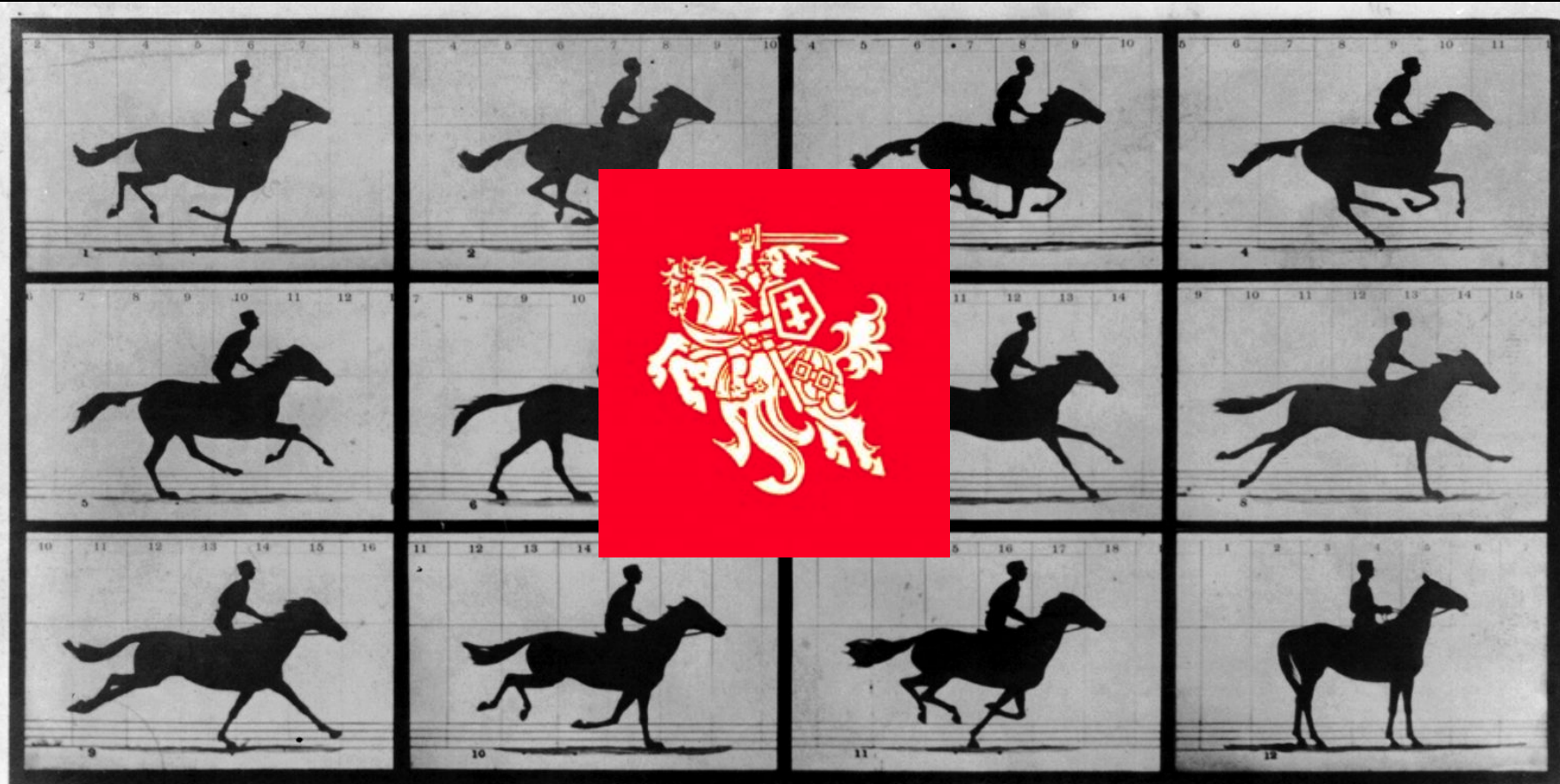
- What is it for?
- Elementary techniques with applications
  - Time-resolved fluorescence spectroscopy
  - Time resolved absorption
  - Data analysis techniques
  - Applications
- Adding a twist to ultrafast spectroscopy
  - Multi-pulse transient absorption
  - Femtosecond stimulated Raman scattering spectroscopy
  - Transient grating and photon echo
  - 2D electronic spectroscopy

Photosynthesis  
Photochemistry and photobiology



Giga-    Mega-    Kilo-    **sek.**    mili-    mikro-    nano-    piko-    femto-    ato-  
 $10^9$      $10^6$      $10^3$      $10^0$      $10^{-3}$      $10^{-6}$      $10^{-9}$      $10^{-12}$      $10^{-15}$      $10^{-18}$

# Do all four feet of a galloping horse leave the ground at the same time?



Copyright, 1878, by MUYBRIDGE.

MORSE'S Gallery, 417 Montgomery St., San Francisco.

## THE HORSE IN MOTION.

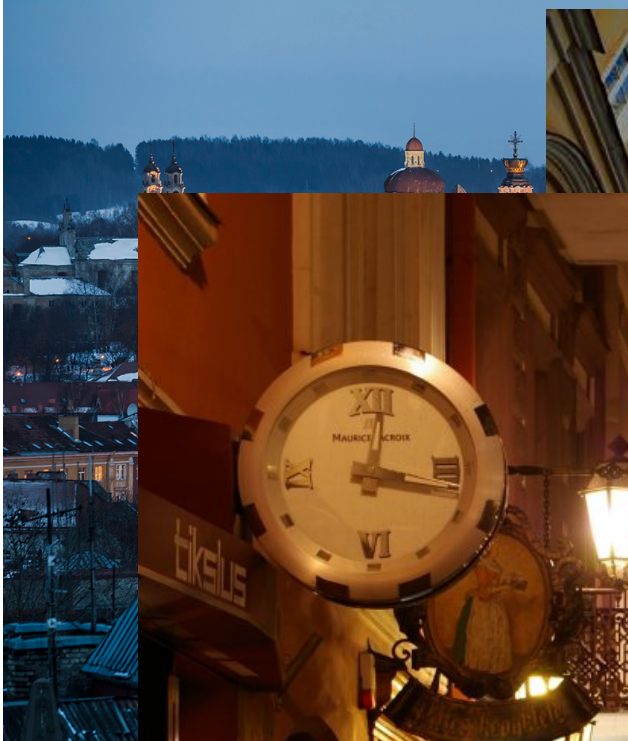
Illustrated by  
MUYBRIDGE.

AUTOMATIC ELECTRO-PHOTOGRAPH.

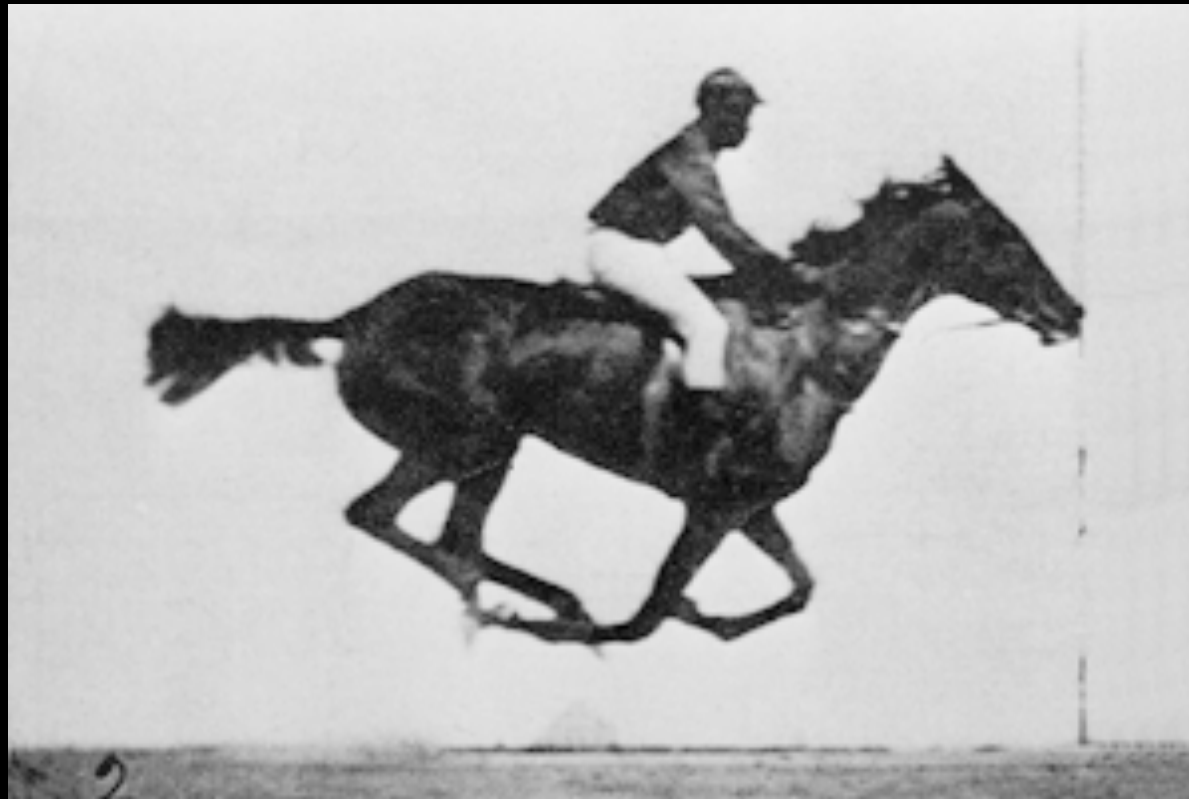
"SALLIE GARDNER," owned by LELAND STANFORD; running at a 1.40 gait over the Palo Alto track, 19th June, 1878.

The negatives of these photographs were made at intervals of twenty-seven inches of distance, and about the twenty-fifth part of a second of time; they illustrate consecutive positions assumed in each twenty-seven inches of progress during a single stride of the mare. The vertical lines were twenty-seven inches apart; the horizontal lines represent elevations of four inches each. The exposure of each negative was less than the two-thousandth part of a second.

# Come to visit!



**Do all four feet of a galloping horse leave the ground at the same time?**



## Following fast processes



# Flash photolysis: the beginning

Primary photoprocesses in quinones and dyes

II. Kinetic studies

BY N. K. BRIDGE AND G. PORTER\*

*The British Rayon Research Association, Heald Green Laboratories,  
Wythenshawe, Manchester*

*(Communicated by R. G. W. Norrish, F.R.S.—Received 10 October 1957)*

Nobel prize 1967 :  
G.Porter et al.

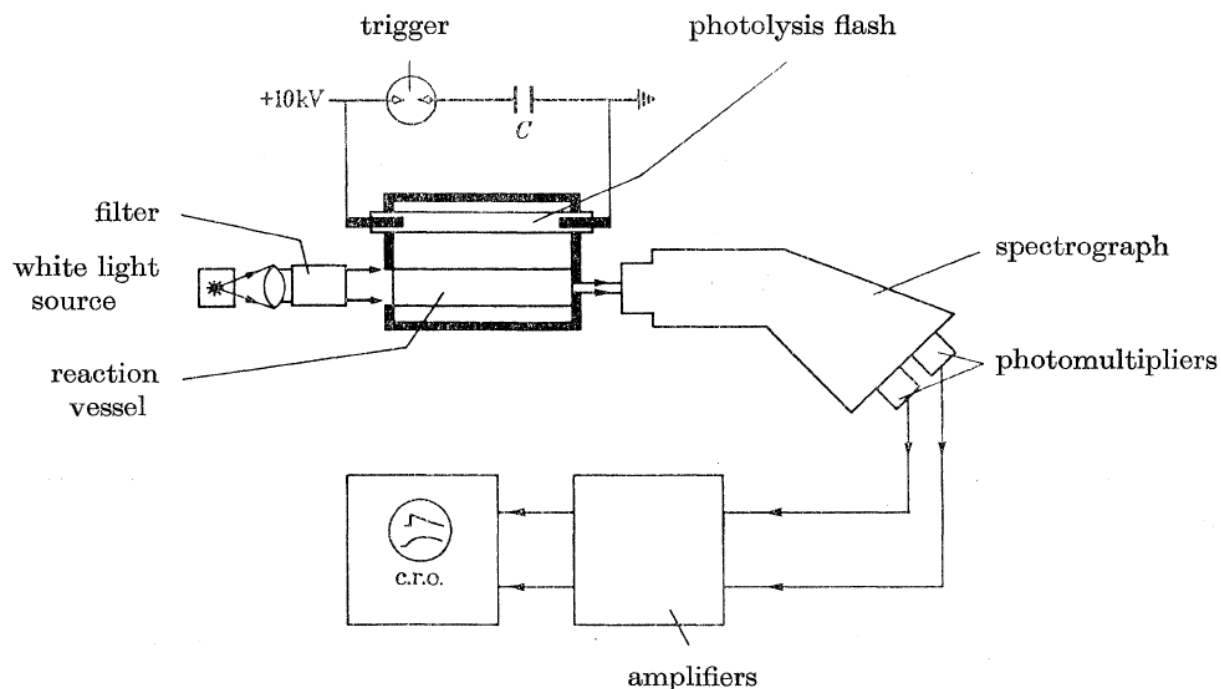


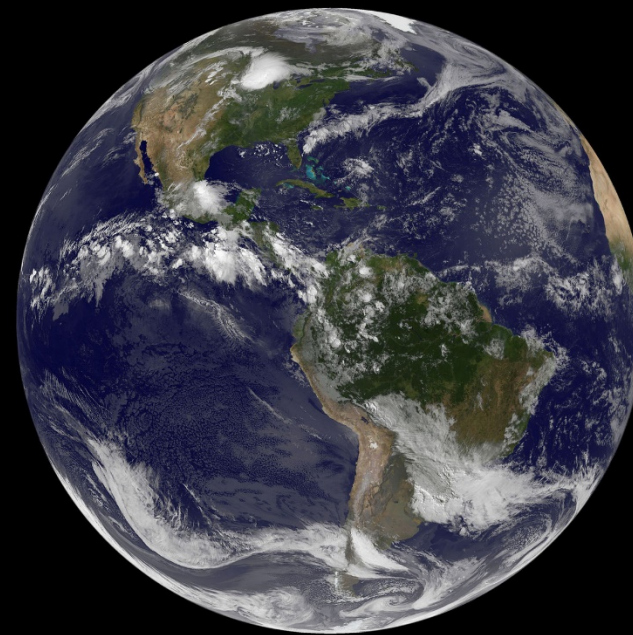
FIGURE 1. Flash photolysis photomultiplier apparatus.



# Apollo 17, NOAA GOES13 satellite



NOAA GOES 13 180007 1145 UTC NOAA GOES 13/13



# Why is it so green?



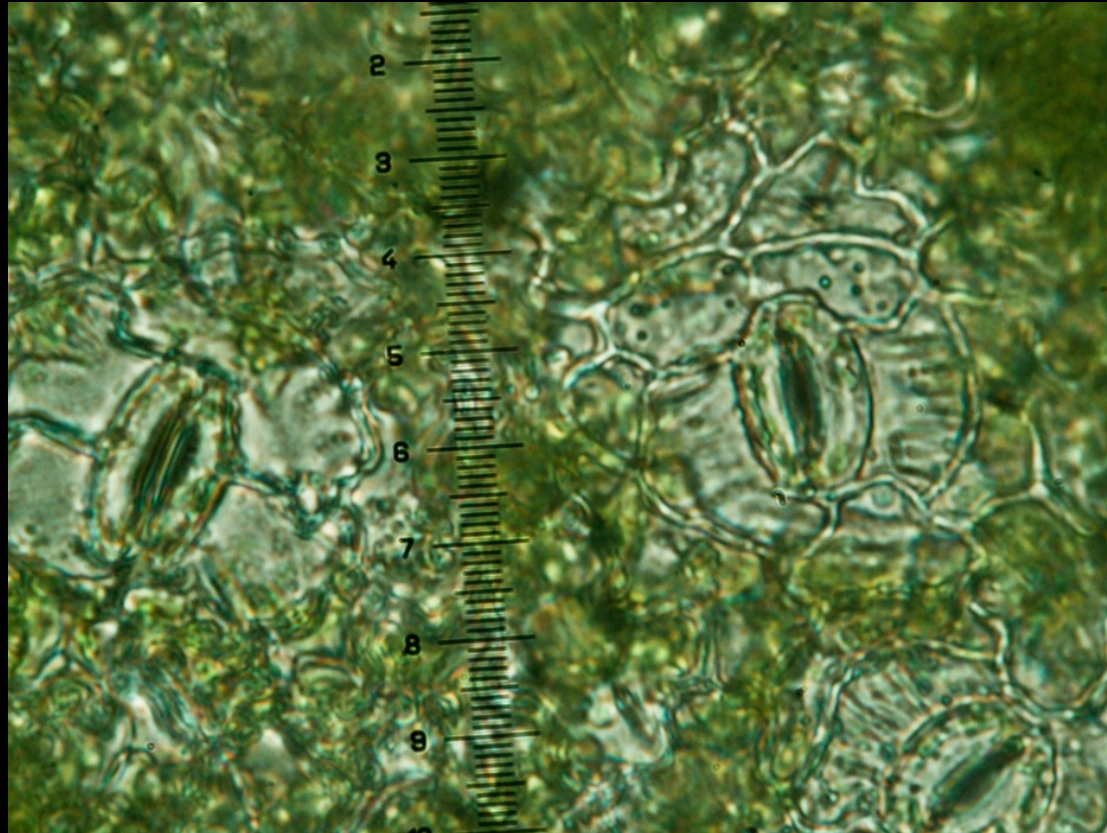
# Getting closer to the green stuff



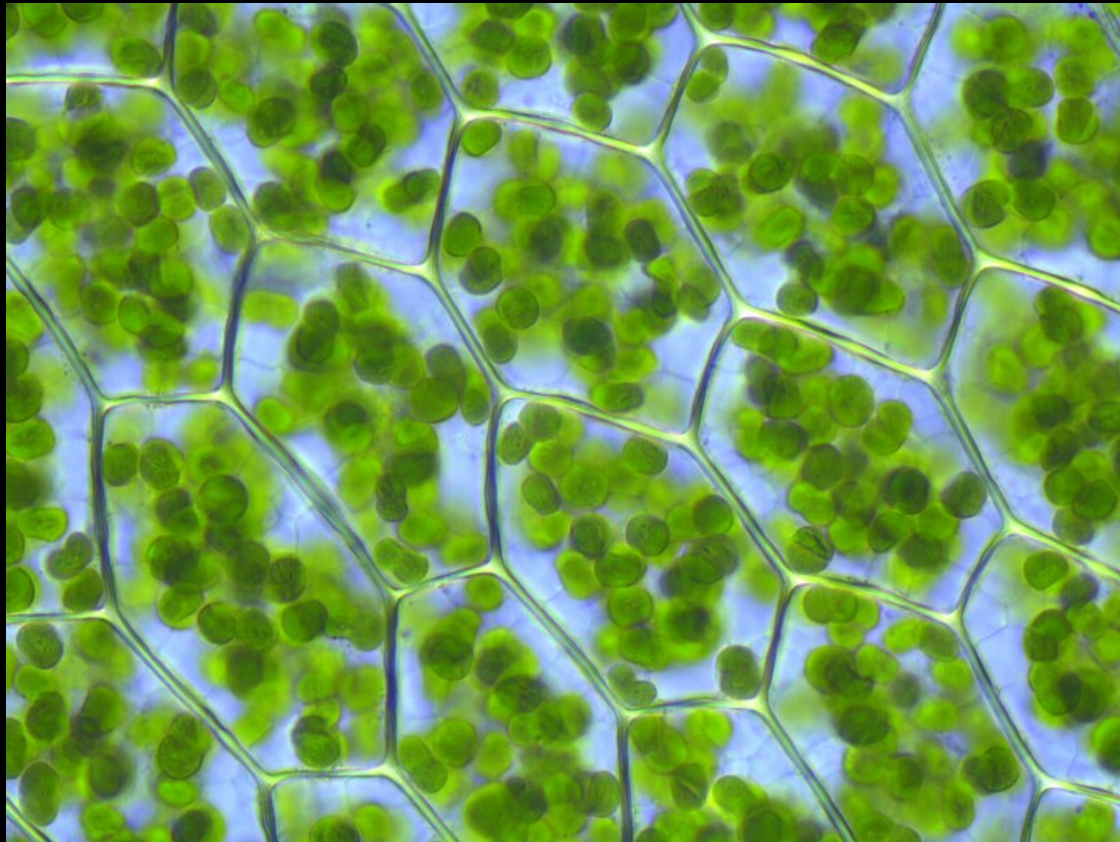
Closer yet



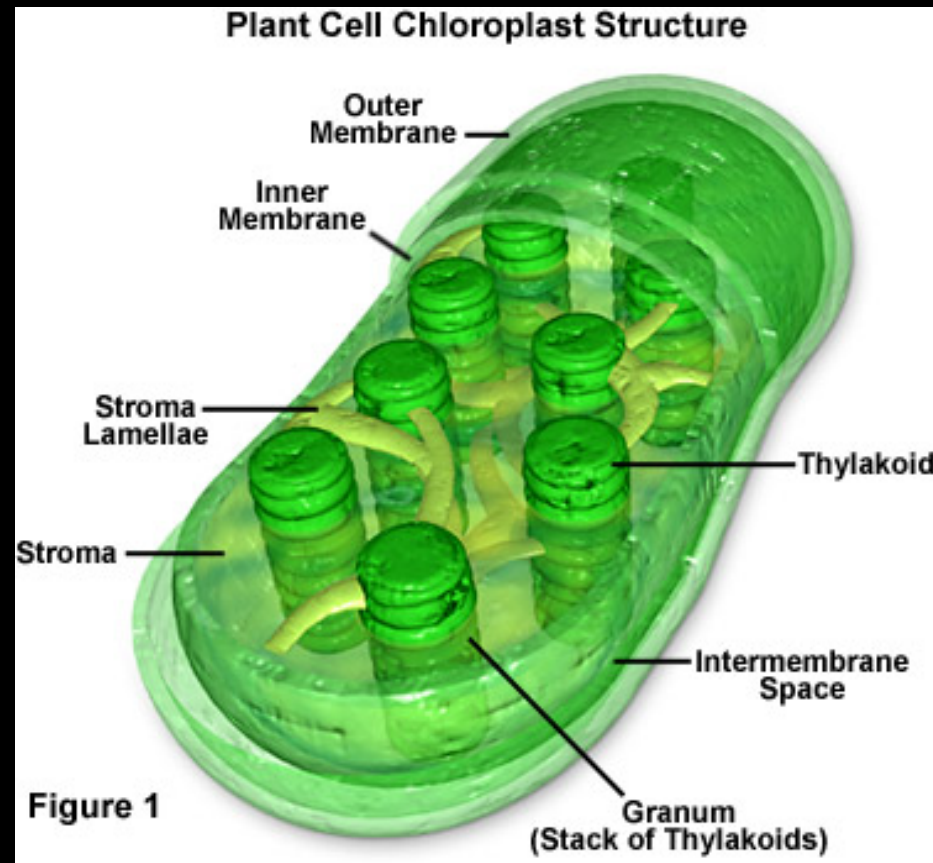
Bring out the microscope, what's the green stuff?



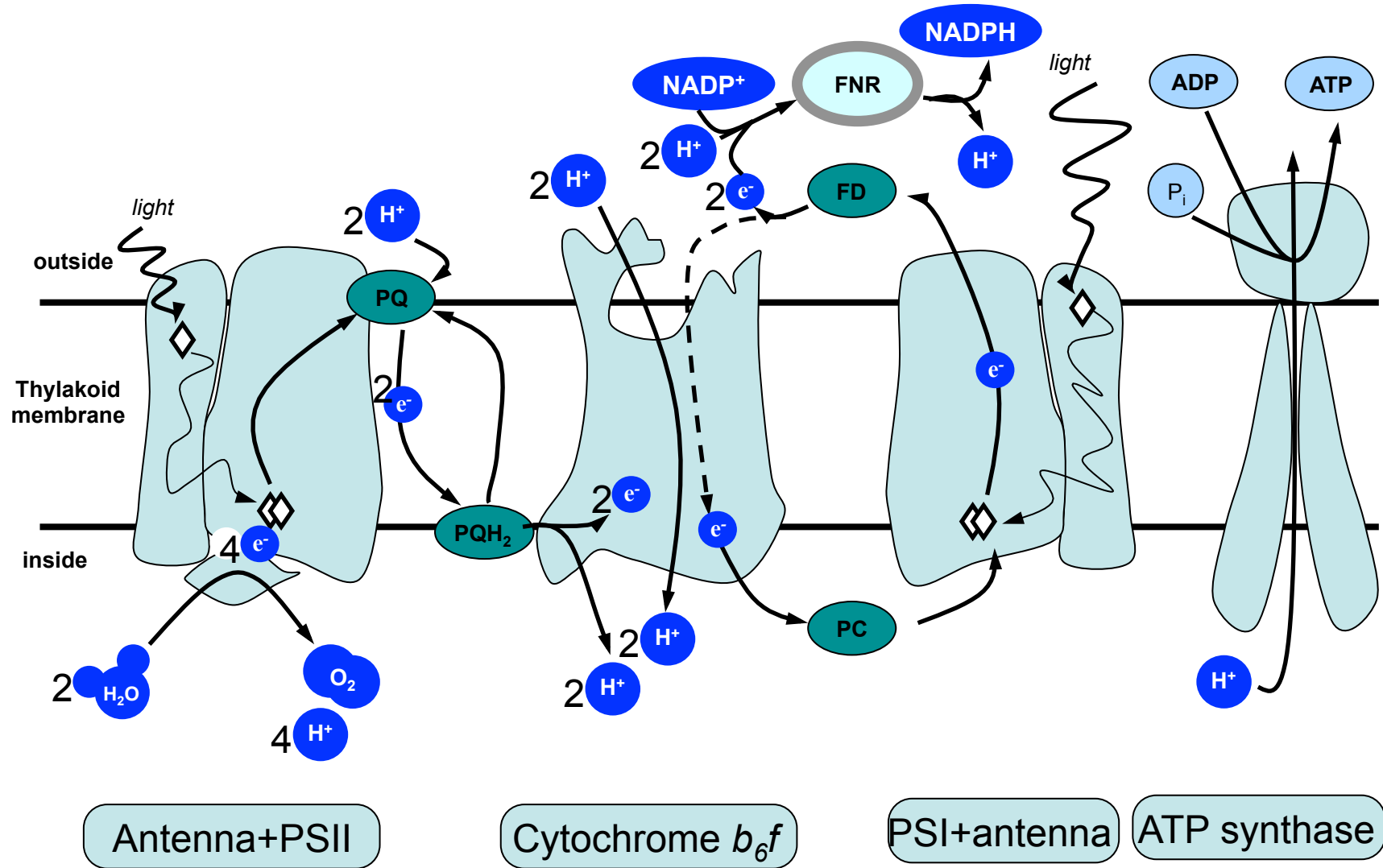
# Chloroplasts



# Chloroplastai

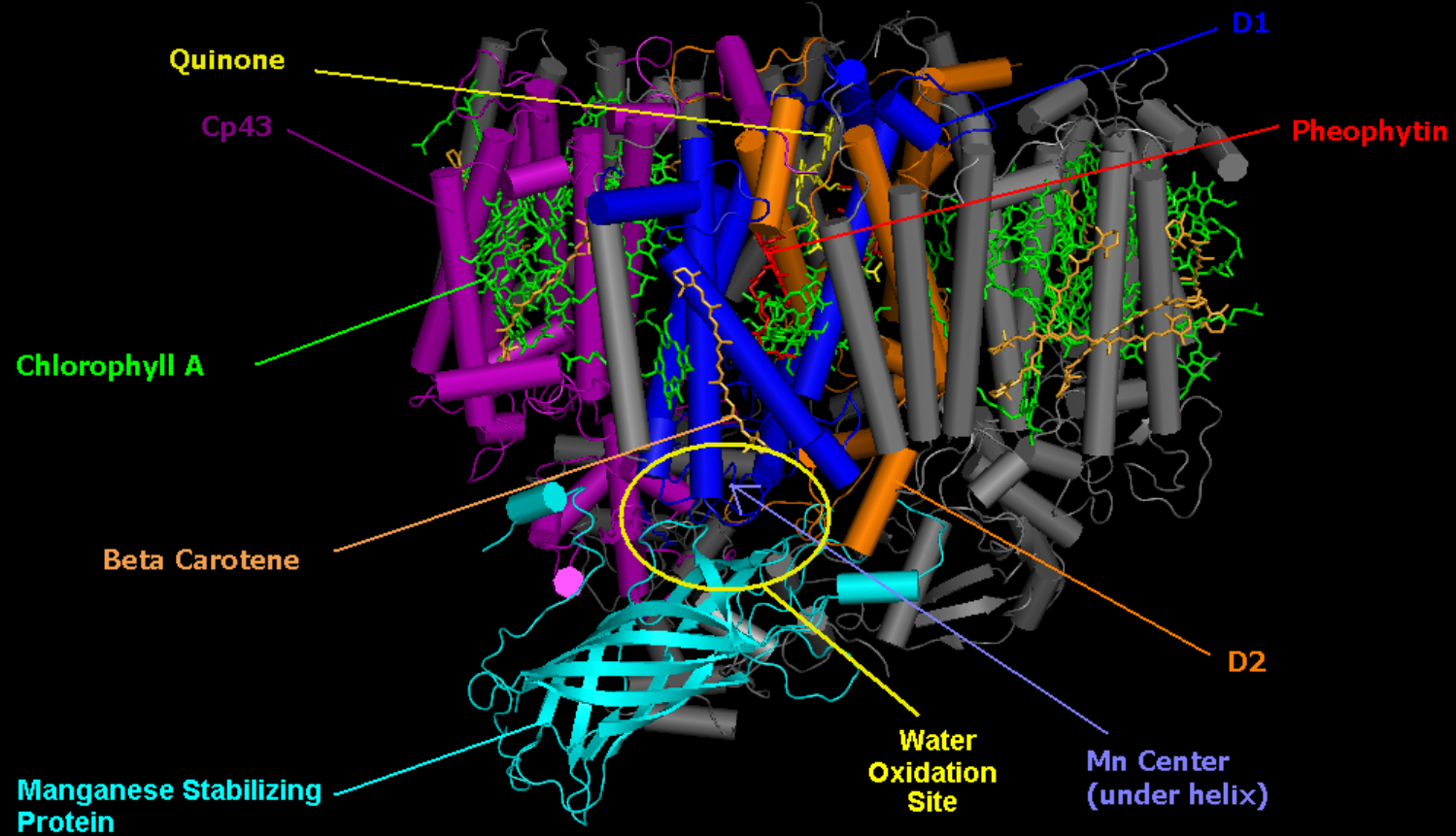


# Thylakoid membrane

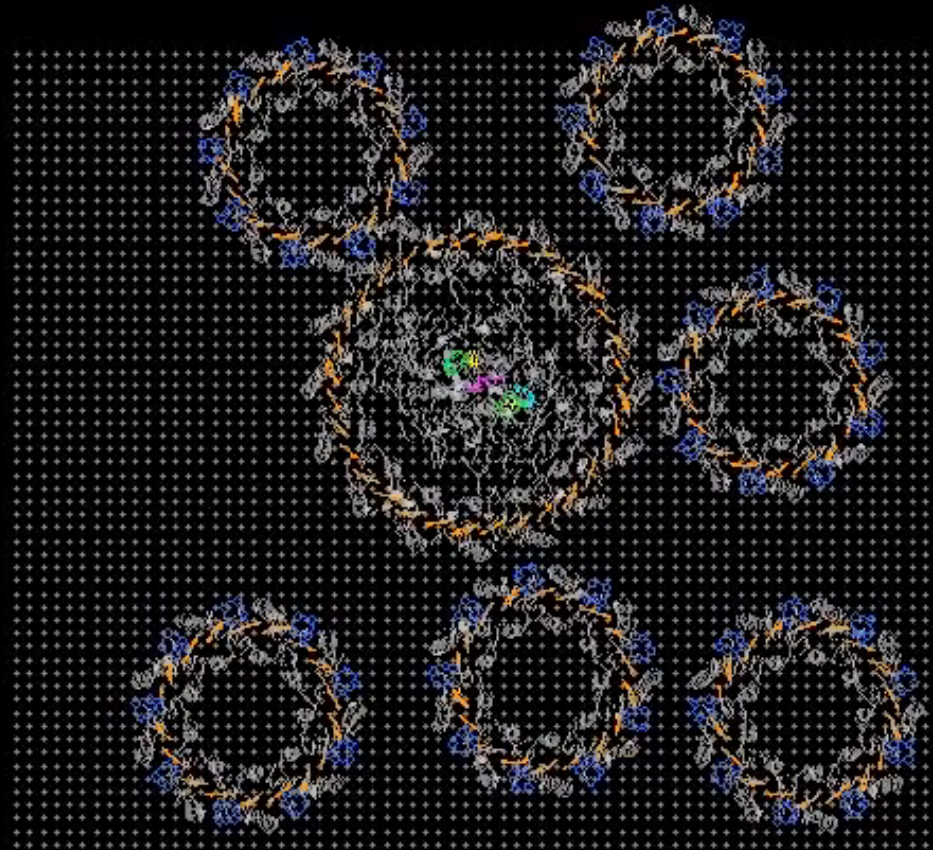




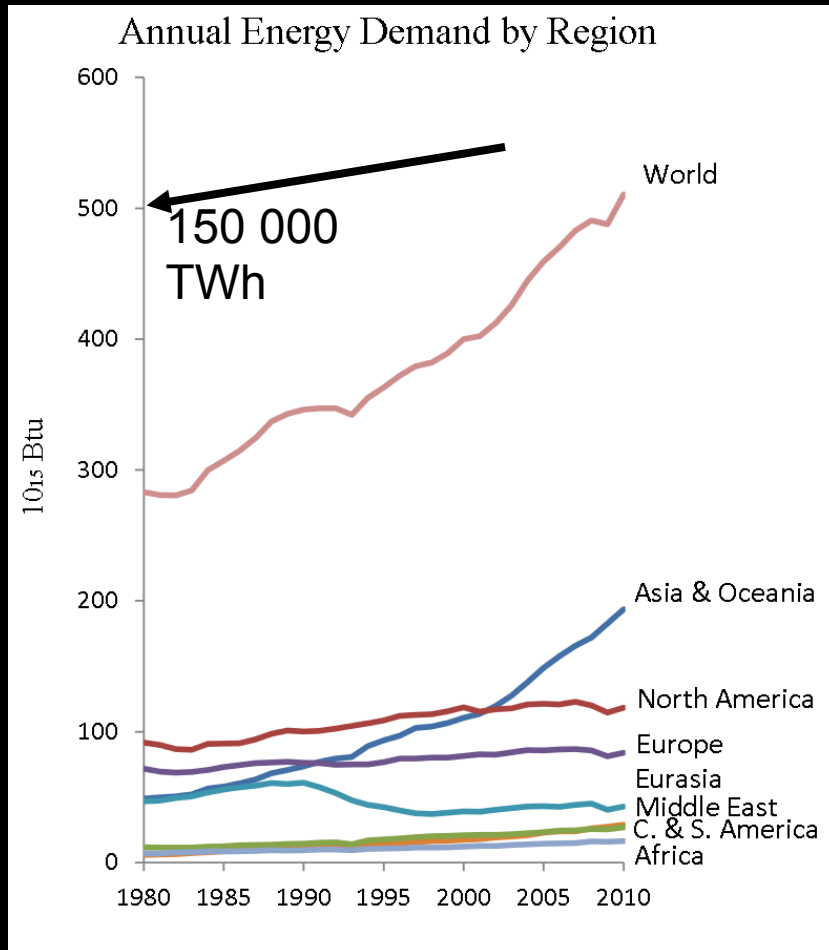
# PSII



Bacterial photosynthesis: structures more symmetric, but the mechanisms are the same



# Photosynthesis = Solar energy



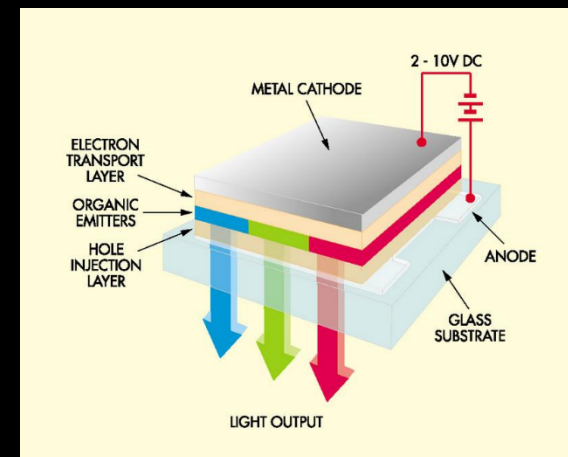
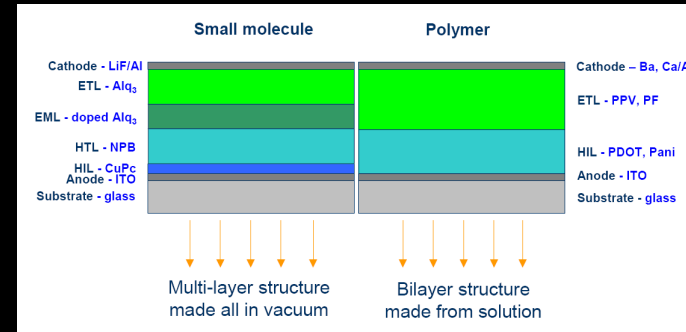
Photosynthesis:  $130 \text{ TW} \times 365 \text{ days/year} \times 24 \text{ h/day} = 1\,140\,000 \text{ TWh}$

Natural plants, algae and bacteria capture 7x energy required by the humanity

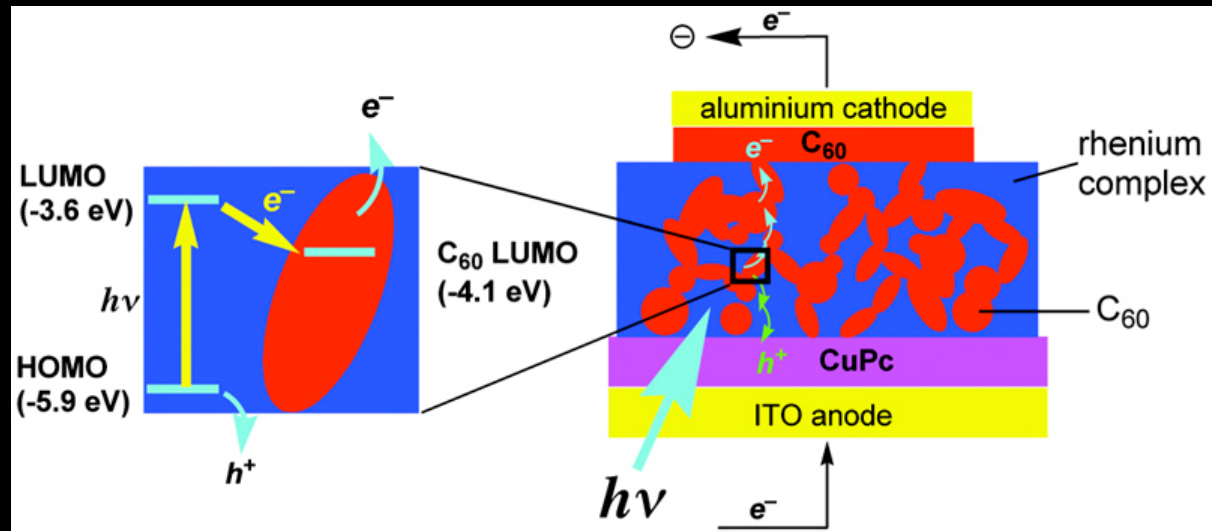
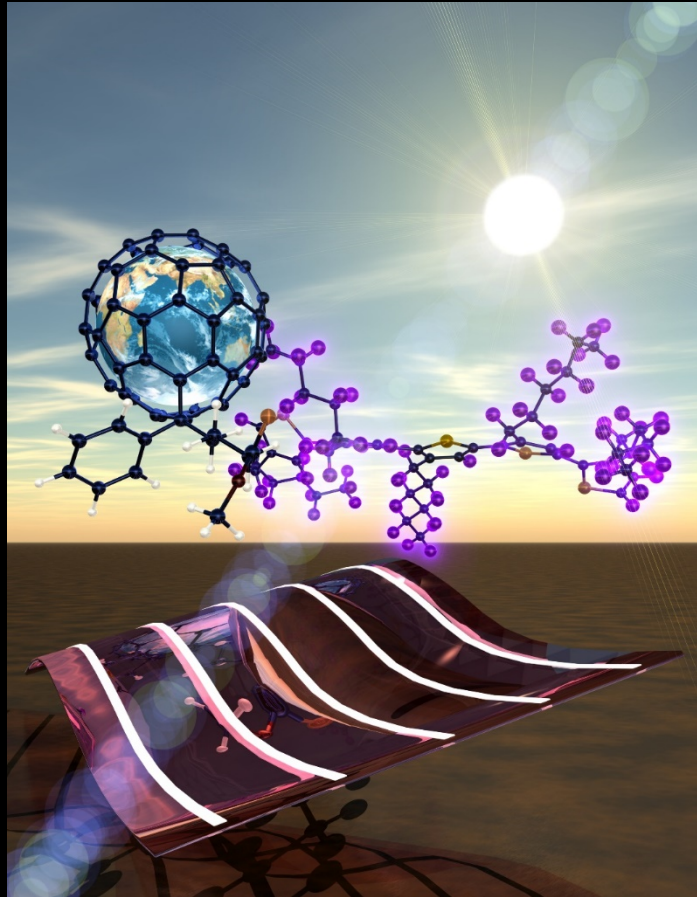
# Semiconductors



Organic LEDs (OLEDs) are the hybrid structures made of organic molecules and semiconductors for conversion from electricity to light.



# Photochemistry: organic photovoltaic cells



Carrier extraction must be faster than recombination of excited carriers (typically about 1 ns)

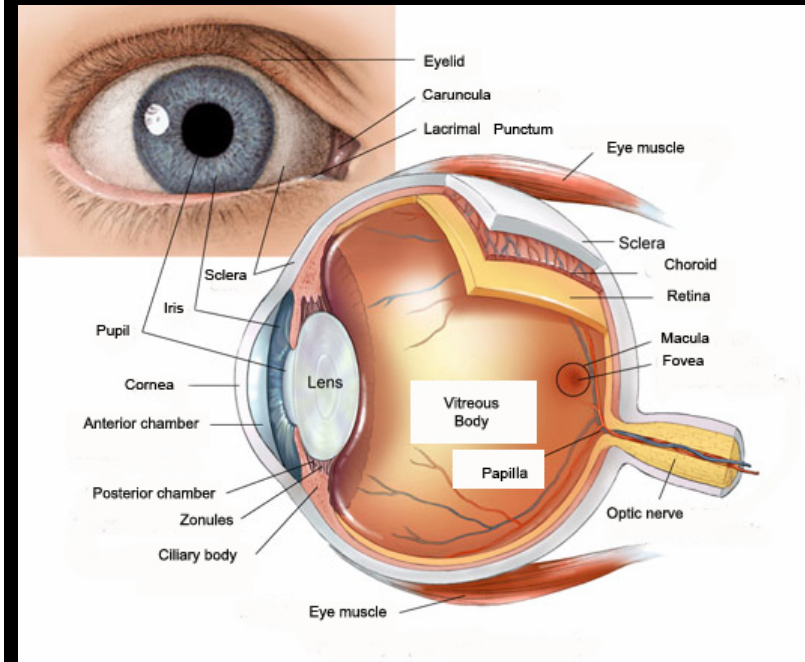
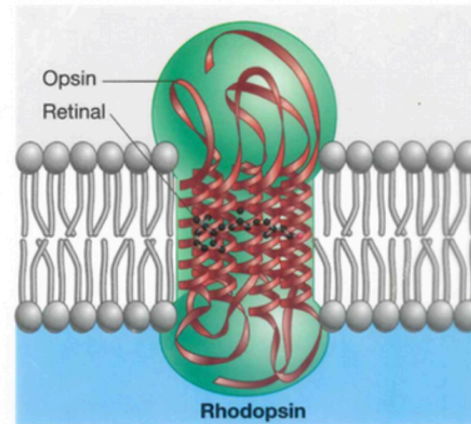
# Photobiology

## Rhodopsin in the Eye

Rods and cones contain stacks of membranes.

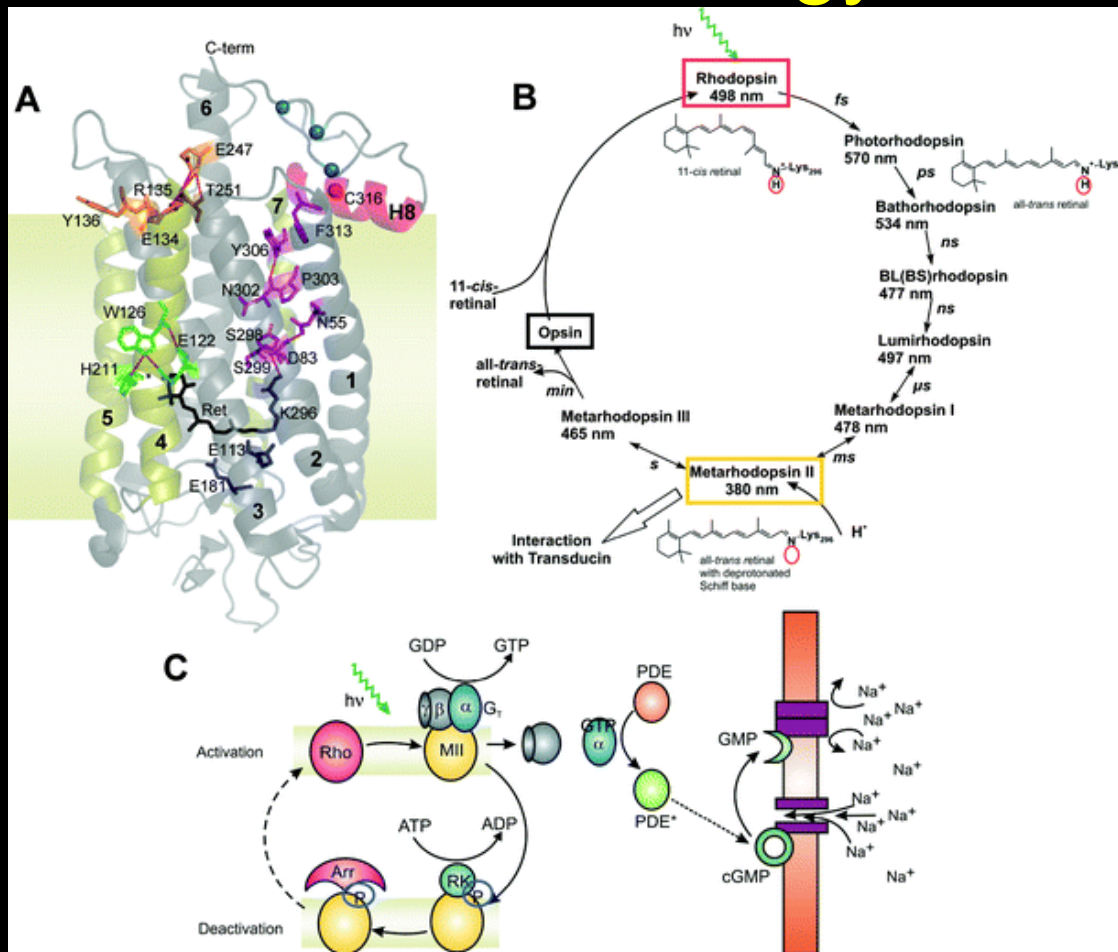


Rhodopsin is a transmembrane protein complex.

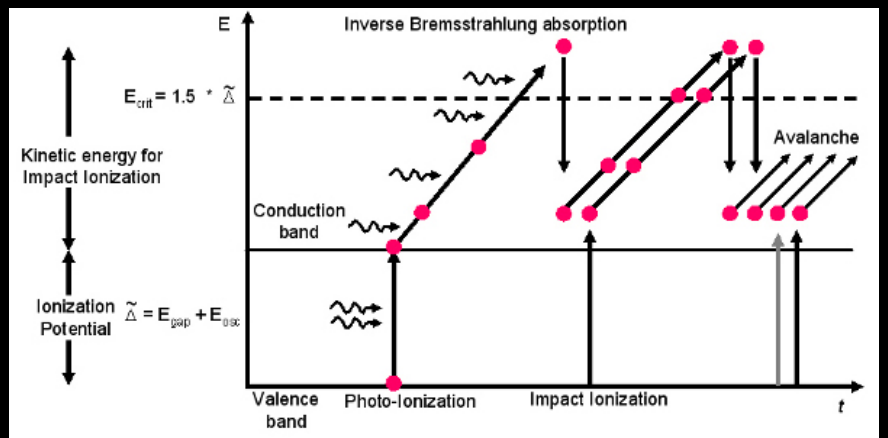
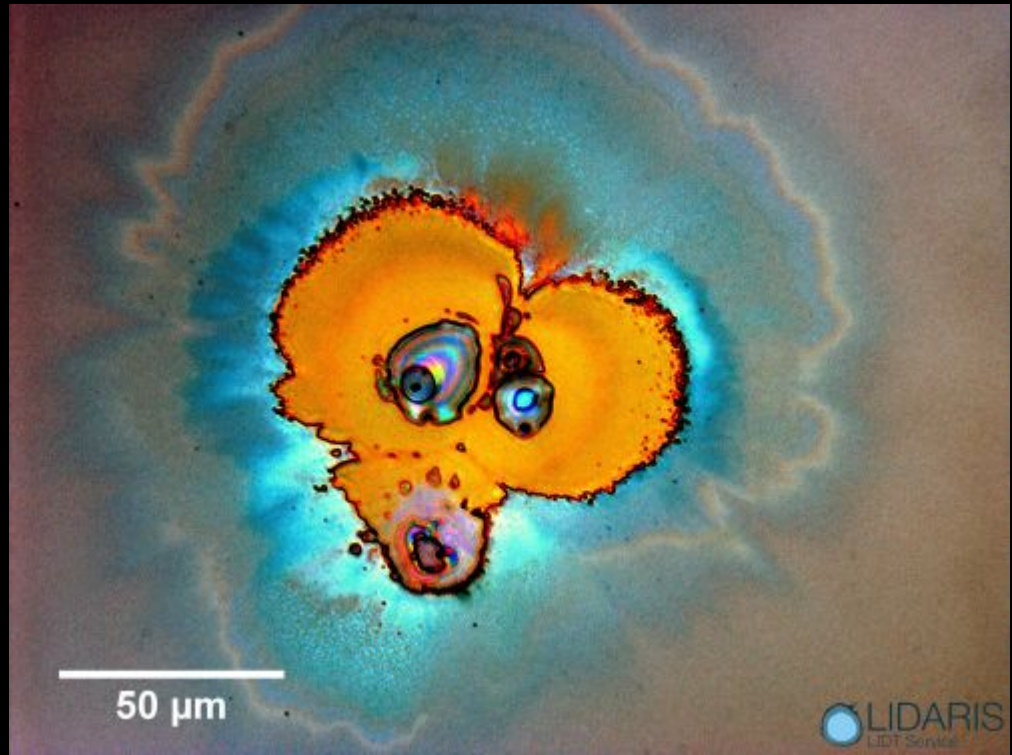


If you mutate rhodopsin-like protein into neuron, you can trigger a brain using light - optogenetics

# Photobiology



# Laser physics





# Direct laser writing by multi-photon photopolymerization

132 OPTICS LETTERS / Vol. 22, No. 2 / January 15, 1997

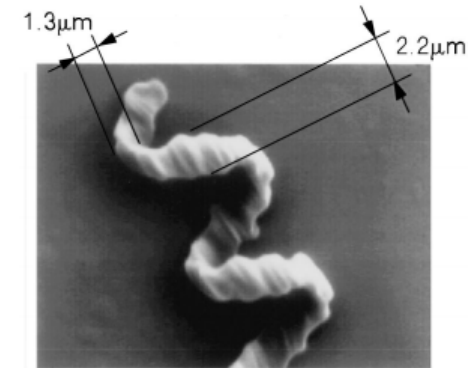
## Three-dimensional microfabrication with two-photon-absorbed photopolymerization

Shoji Maruo, Osamu Nakamura, and Satoshi Kawata

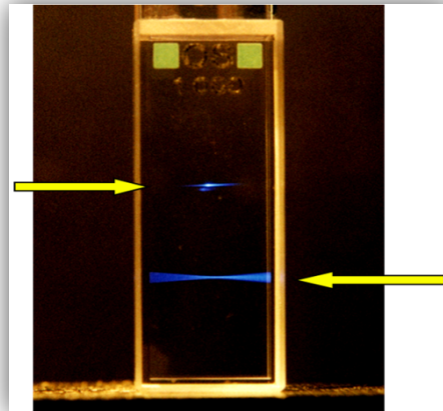
Department of Applied Physics, Osaka University, Suita, Osaka 565, Japan

Received October 1, 1996

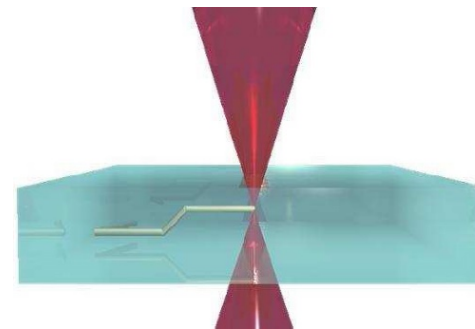
We propose a method for three-dimensional microfabrication with photopolymerization stimulated by two-photon absorption with a pulsed infrared laser. An experimental system for the microfabrication has been developed with a Ti:sapphire laser whose oscillating wavelength and pulse width are 790 nm and 200 fs, respectively. The usefulness of the proposed method has been verified by fabrication of several kinds of microstructure by use of a resin consisting of photoinitiators, urethane acrylate monomers, and urethane acrylate oligomers. © 1997 Optical Society of America



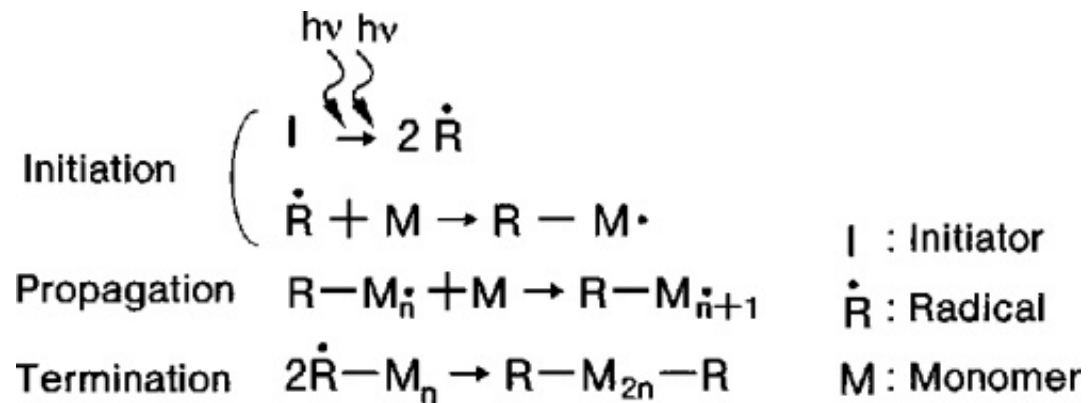
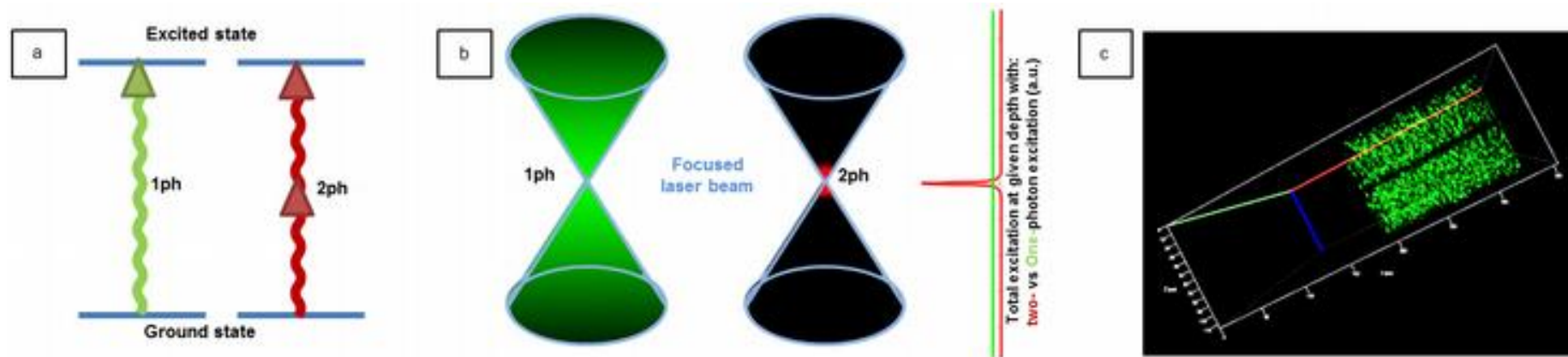
Nonlinear absorption



Linear absorption



# What is this polymerization?



Spectroscopy  $\leftrightarrow$  quantum structure of  
material

Time-resolved spectroscopy  $\leftrightarrow$  quantum  
functioning of material

# Laser spectroscopy: the childhood

Volume 84, number 3

CHEMICAL PHYSICS LETTERS

15 December 1981

**PICOSECOND TIME-RESOLVED KINETIC STUDIES  
ON THE FORMATION OF SHORT-LIVED PSEUDOISOCYANINE IODIDE PHOTOISOMERS  
IN METHANOL AND ETHYLENE GLYCOL**

**Sabine K. RENTSCH**

*Department of Physics, Friedrich-Schiller-University, 6900 Jena, GDR*

and

**Romas V. DANIELIUS and Roaldas A. GADONAS**

*Department of Physics, Kapsukas University, 232054 Vilnius, USSR*

Received 3 August 1981

# Laser spectroscopy: the childhood

of the bleaching and transient absorption spectra of PIC in methanol and in ethylene glycol solutions. A new absorption band was studied in detail and interpreted as a photoisomer spectrum of pseudoisocyanine iodide.

## 2. Experimental apparatus

The excite-and-probe spectrometer described in detail in ref. [8] consisted of a Nd-YAG laser and an amplifier, a second-harmonic generator and a parametric picosecond generator with an amplifier (KDP). The parametric generator provided tunable exciting radiation in the near infrared and, after doubling, in the visible region as well. The excitation pulse duration was 20 ps and the energy 0.1–1 mJ. The probing light was generated either by a second parametric generator (LiNbO<sub>3</sub>) with low radiation energy for the performance of exact kinetic measurements, or by a picosecond continuum in D<sub>2</sub>O for measurements of the transient spectra at a fixed delay time. The transmission of the sample cell was measured with excitation and without it by means of a multiplier relative to a reference signal of the probe light on a second detector. The measuring data were processed by a minicomputer which, in addition, controlled the parameters of the experiment.

The differential optical density

$$\Delta D = D_{\text{with}} - D_{\text{without}}$$

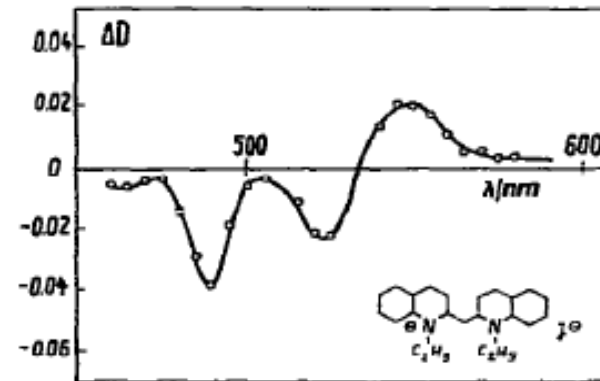
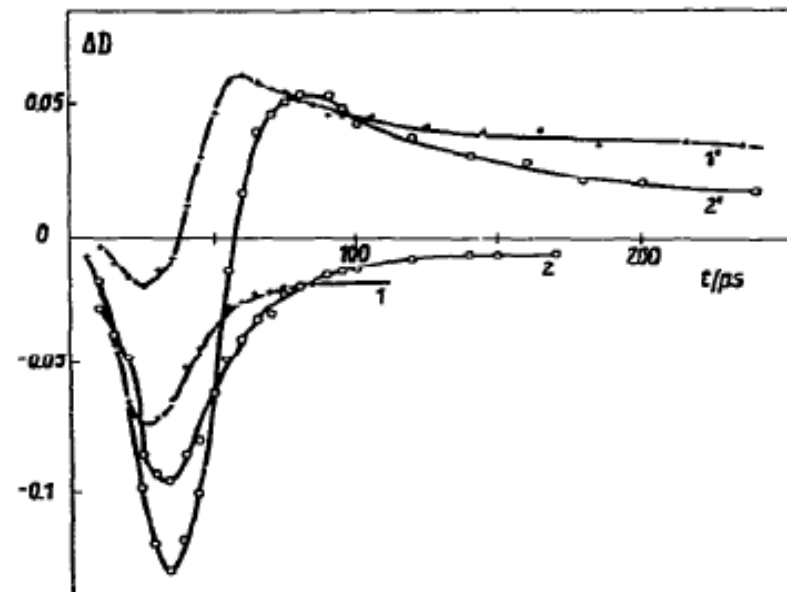
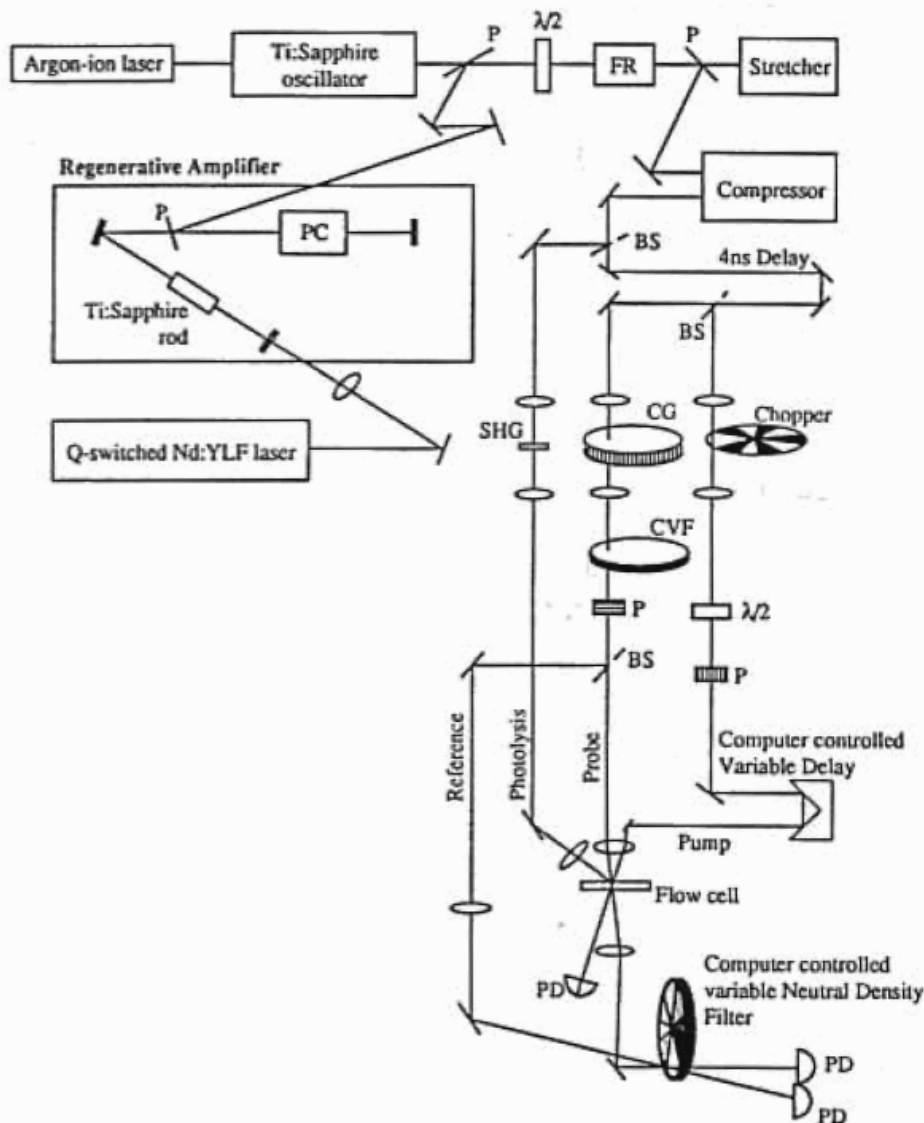


Fig. 1. Bleaching and transient absorption of pseudoisocyanine iodide in methanol ( $\lambda_{\text{ex}} = 530 \text{ nm}$ ,  $c = 4 \times 10^{-5} \text{ mol/l}$ ).



# Laser spectroscopy: the puberty



## Chapter 4

### Ultrafast Spectroscopy of Photosynthetic Systems

Ralph Jimenez and Graham R. Fleming\*  
Department of Chemistry and the James Franck Institute, The University of Chicago,  
5735 S. Ellis Avenue, Chicago, IL 60637, USA

J. Amesz and A. J. Hoff (eds.), *Biophysical Techniques in Photosynthesis*, pp. 63–73.  
© 1996 Kluwer Academic Publishers. Printed in the Netherlands.

# Laser spectroscopy: maturity



Login

Company | Contact Us | Support

Search

FEMTOSECOND  
LASERS

HARMONIC  
GENERATORS

OPA  
ORPHEUS

OPA  
TOPAS

OPCPA

ULTRAFAST  
SPECTROMETERS

AUTOCORRELATORS

## Ultrafast Spectrometers

### **HARPIA**

Off-the-Shelf Pump-Probe Spectrometer



- Straightforward operation
- Modular, customizable design
- Ample sample space to fit a cryostat or flow system
- LabView based measurement automation software
- Full control over polarization, intensity, delay and wavelength

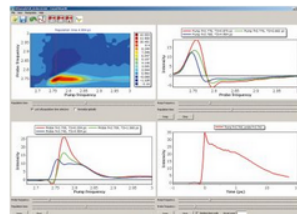
### **CHIMERA**

Fluorescence Upconversion & Time-Correlated Single Photon Counting Spectrometer

- Straightforward operation
- Modular, customizable design
- Ample sample space to fit a cryostat or flow system
- Automated spectral scanning and upconversion crystal tuning
- Measure fluorescence dynamics from hundreds of fs to 2  $\mu$ s in a single instrument

### **CARPET view**

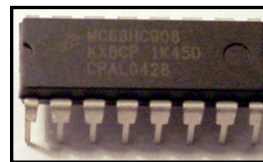
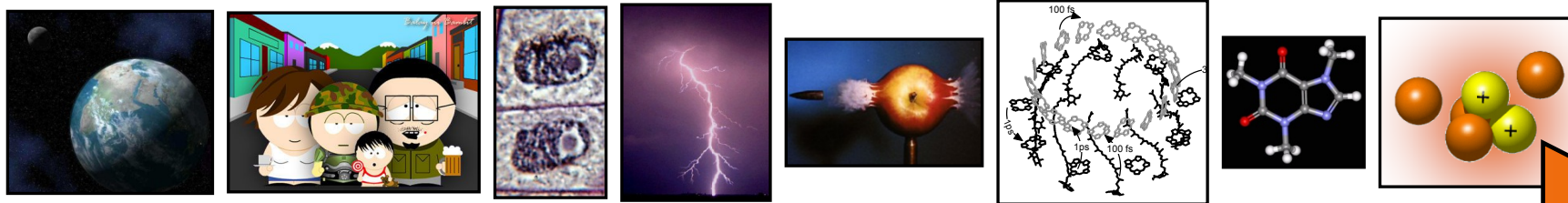
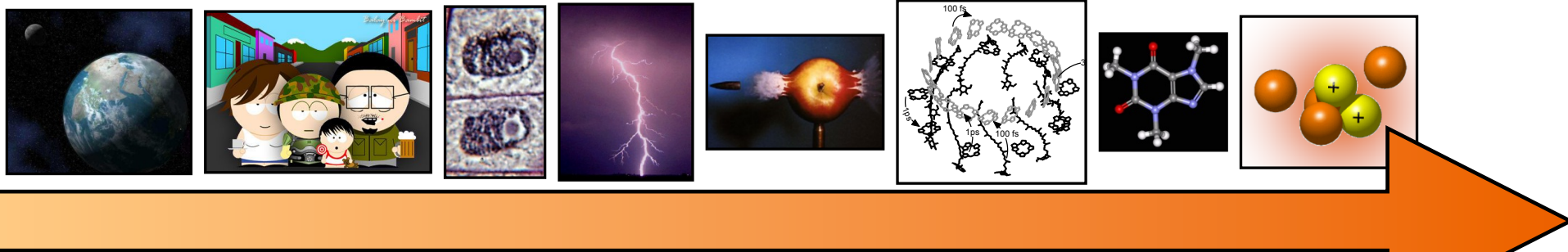
Spectroscopy Data Analysis Software



- Dedicated package for ultrafast spectroscopy data analysis
- Visualization functions: spectral slices, contour plot, comparison of several graphs and more
- Wide set of trivial data manipulations functions
- Global and target analysis of ultrafast data
- Optional 3D version



Photosynthesis  
Photochemistry and photobiology



Giga-    Mega-    Kilo-    **sec.**    mili-    mikro-    nano-    piko-    femto-    ato-

$10^9$      $10^6$      $10^3$      $10^0$      $10^{-3}$      $10^{-6}$      $10^{-9}$      $10^{-12}$      $10^{-15}$      $10^{-18}$



# Processes explored by ultrafast spectroscopy

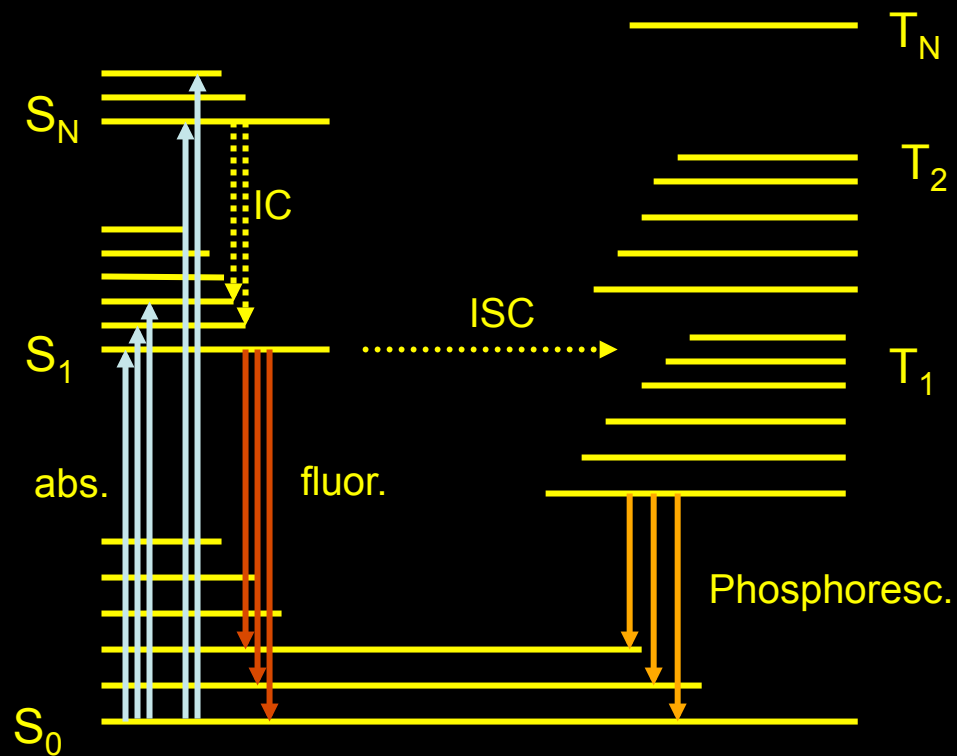
- Charge transfer (electron, proton)
- Solvation
- Vibrational relaxation
- Excitation energy transfer
- Photoreaction dynamics
- Carrier dynamics in semiconductors

# Time-resolved fluorescence spectroscopy

- Explores the time dependence of emission spectra in:
  - Molecules
  - Solids
  - Nanostructures

# Molecular energy levels: Jablonski diagram

---



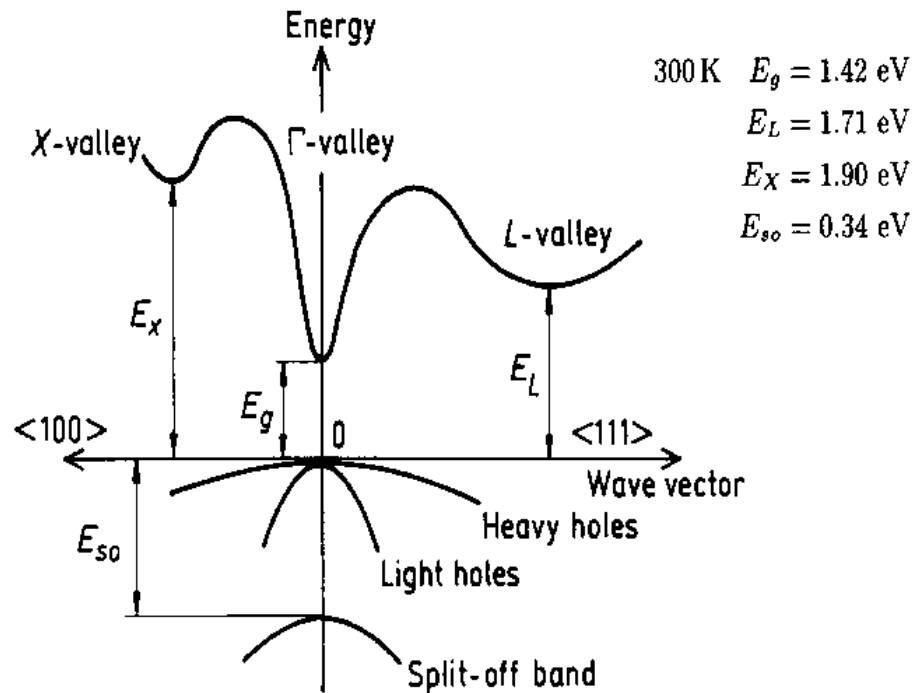
# Molecule was excited. What can happen?

- Radiative relaxation
- Internal conversion
- Intersystem crossing
- Excitation energy transfer
- Solvation
- Photoinduced reaction (e.g., isomerization)

When the state of the molecule changes, emission spectrum will change. Therefore, emission is a way of observing all mentioned processes.

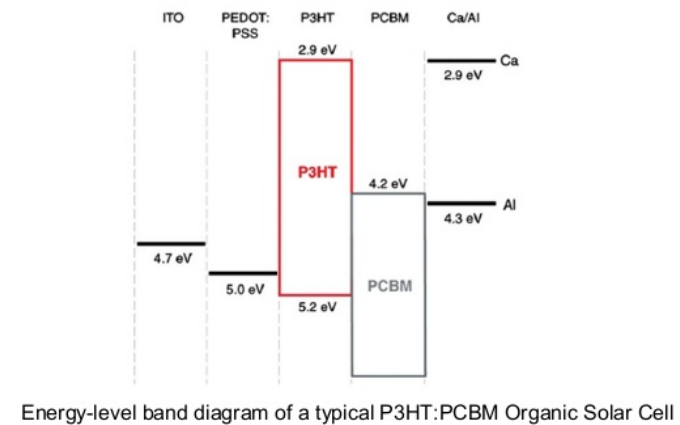
Only useful while excited state is preserved!

# Band structures in solid state



Gallium Arsenide

## Energy-level band diagram



D. Ginley, Fundamentals of materials for Energy and Environmental Sustainability, page 233

Organic solar cell (dispersed heterojunction)

**A solid-state sample (semiconductor, dielectric, metal, amorphous/organic or crystalline) was excited. What can happen?**

- Band-to-band radiative recombination (light output)
- Shockley-Read-Hall (trap-assisted) recombination
- Auger recombination
- Electron cooling and re-equilibration
- Trap luminescence (light output)
- Non-radiative recombination (light disappearance)

If at least a fraction of carriers recombine in a radiative manner, the carrier dynamics can be observed in time-resolved fluorescence experiments.

Again, when the light output stops, we stop seeing it.

# A quantum well/wire/dot was excited. What can happen?

- A hybrid behavior between solid state (bands, state continuum) and molecules (discrete states).

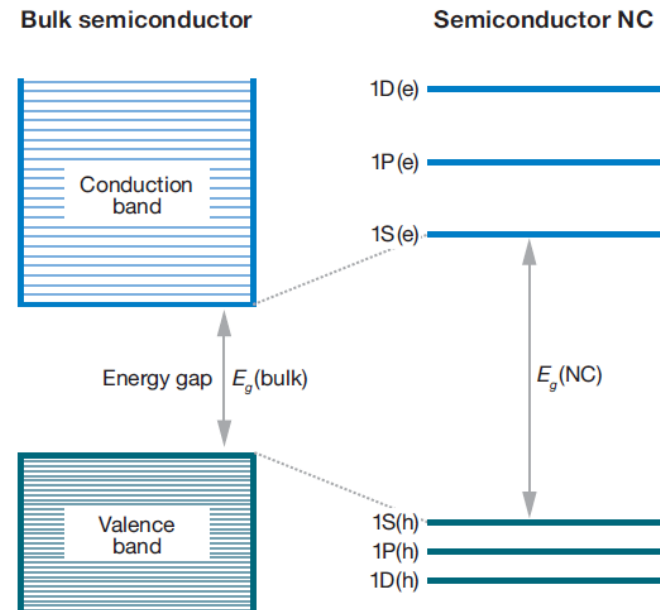
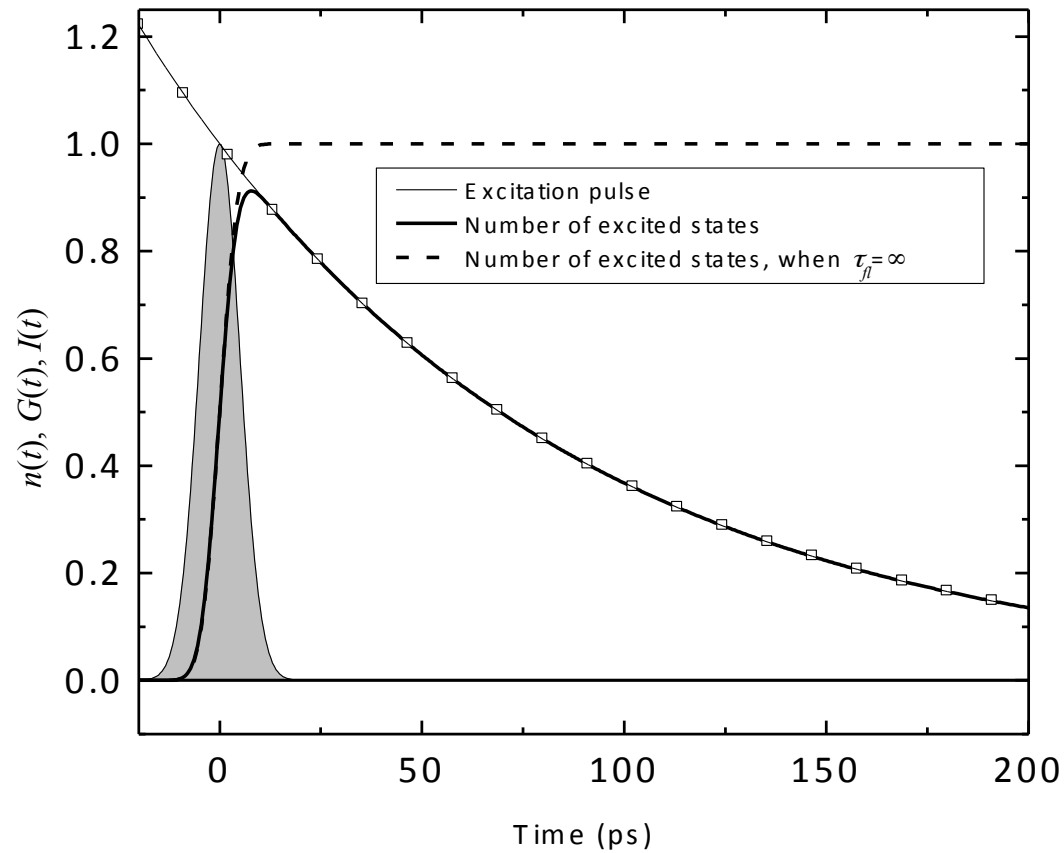


Figure 1

A bulk semiconductor has continuous conduction and valence energy bands separated by a fixed energy gap,  $E_g$ , whereas a semiconductor nanocrystal (NC) is characterized by discrete atomic-like states and an NC size-dependent energy gap. In a simple model of a spherical quantum well with an infinite barrier, the NC energy gap,  $E_g(\text{NC})$ , relates to the bulk semiconductor energy gap,  $E_g(\text{bulk})$ , by the following expression:  $E_g(\text{NC}) = E_g(\text{bulk}) + \frac{\pi^2 \hbar^2}{2m_r R^2}$ , where  $R$  is the NC radius,  $m_r = (m_e^{-1} + m_h^{-1})^{-1}$ , and  $m_e$  and  $m_h$  are the electron and hole effective masses, respectively. The NC energy structures are shown for the model case of a two-band semiconductor, which has a single parabolic conduction band and a single parabolic valence band.

# Simple kinetics



$$n(t) = G(t) \cdot e^{-\frac{t}{\tau_{fi}}}$$

$$G(t) \sim 1 + \operatorname{erf}\left(\frac{t}{\tau}\right)$$

$$\operatorname{erf}(t) \equiv \frac{2}{\sqrt{\pi}} \int_0^t e^{-t^2} dt$$



Time resolved fluorescence  
techniques:

Time-correlated single photon  
counting

# Fluorescence consists of single photons

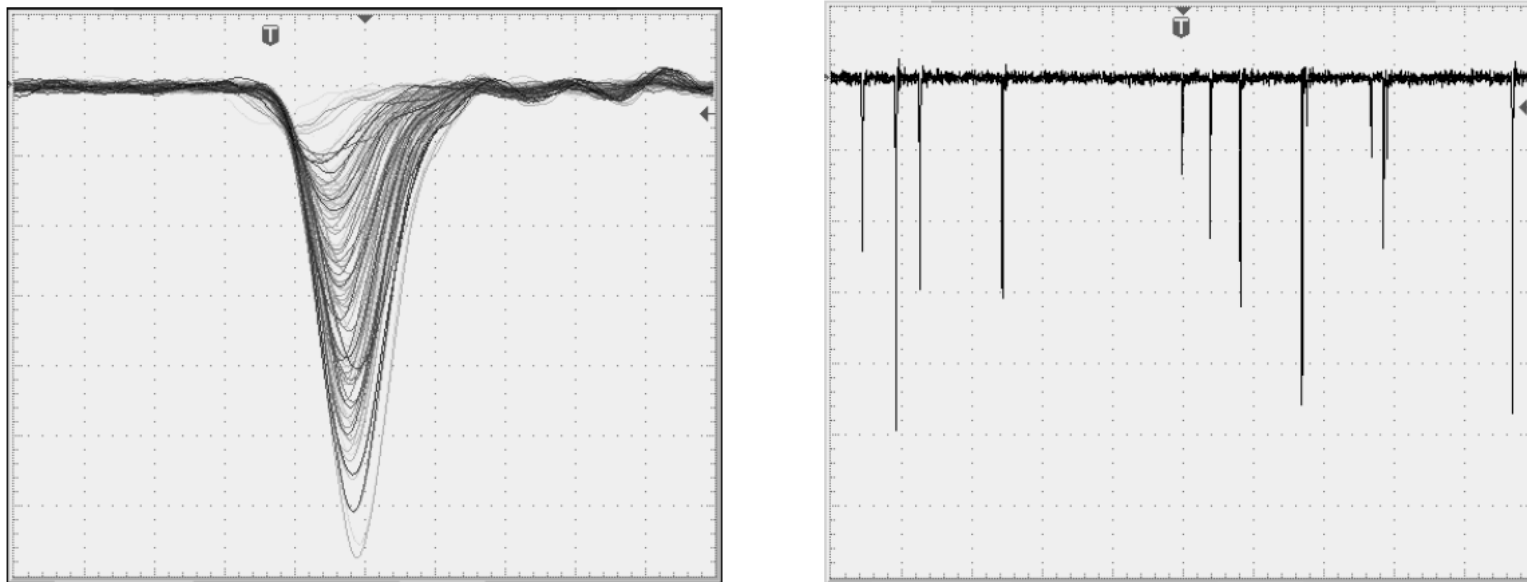


Fig. 118: Single-photon pulses delivered by a R5900 PMT (left, 1 ns / div) and output signal of the PMT at a photon detection rate of  $10^7 \text{ s}^{-1}$  (right, 100 ns / div). Operating voltage -900V, signal line terminated with 50  $\Omega$ .

# Excite the sample with high rep.rate laser

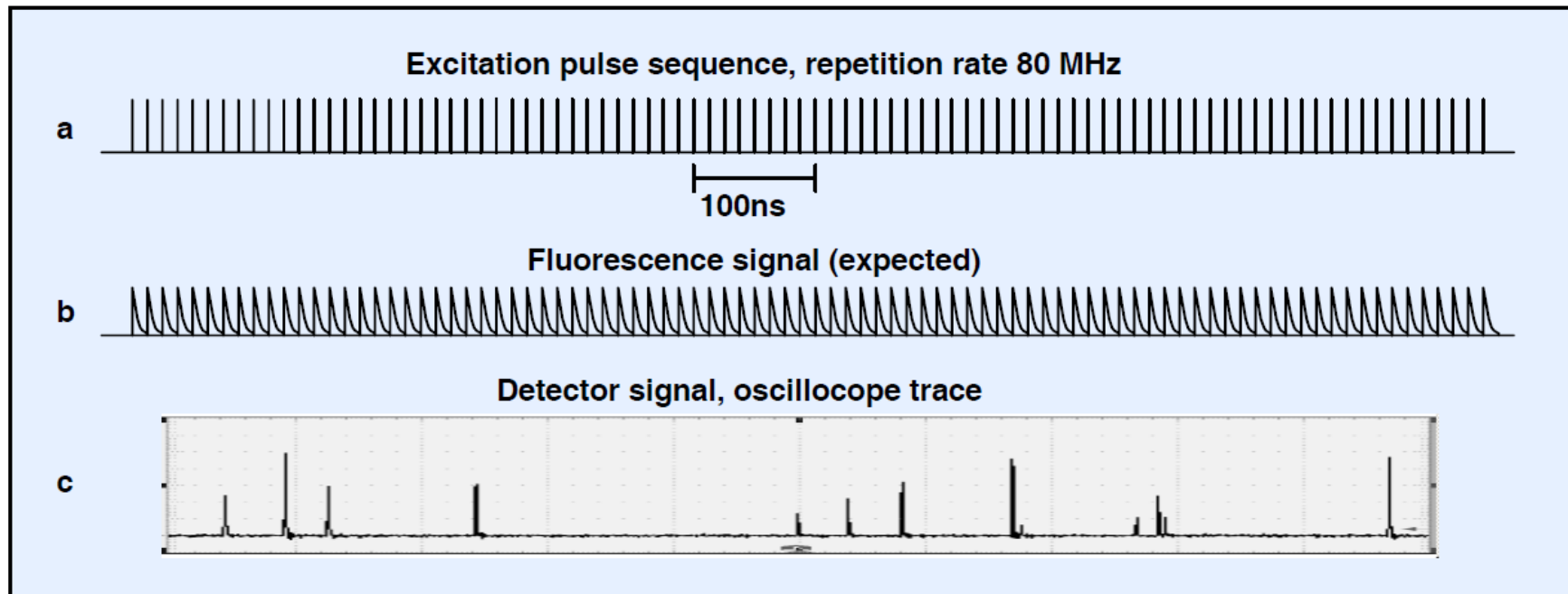
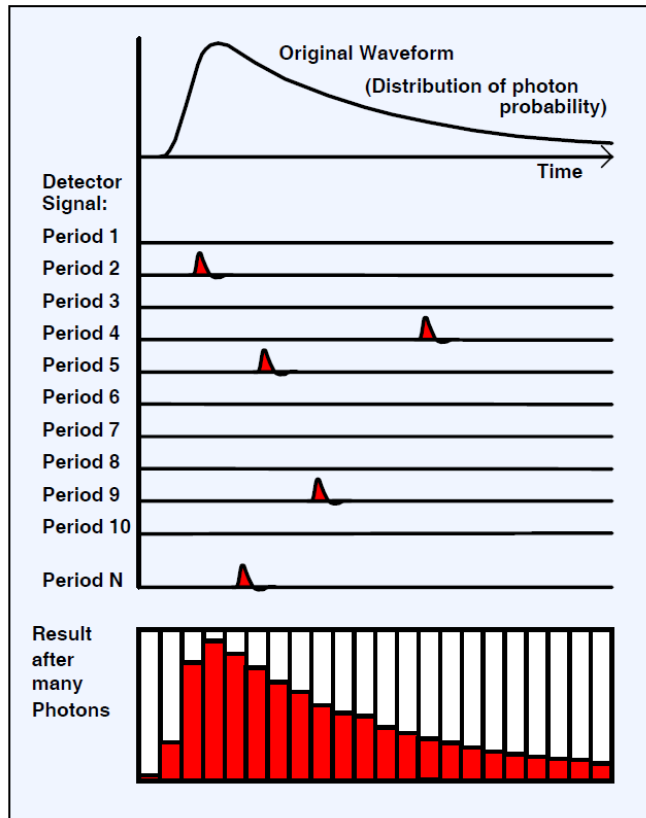


Fig. 119: Detector signal for fluorescence detection at a pulse repetition rate of 80 MHz

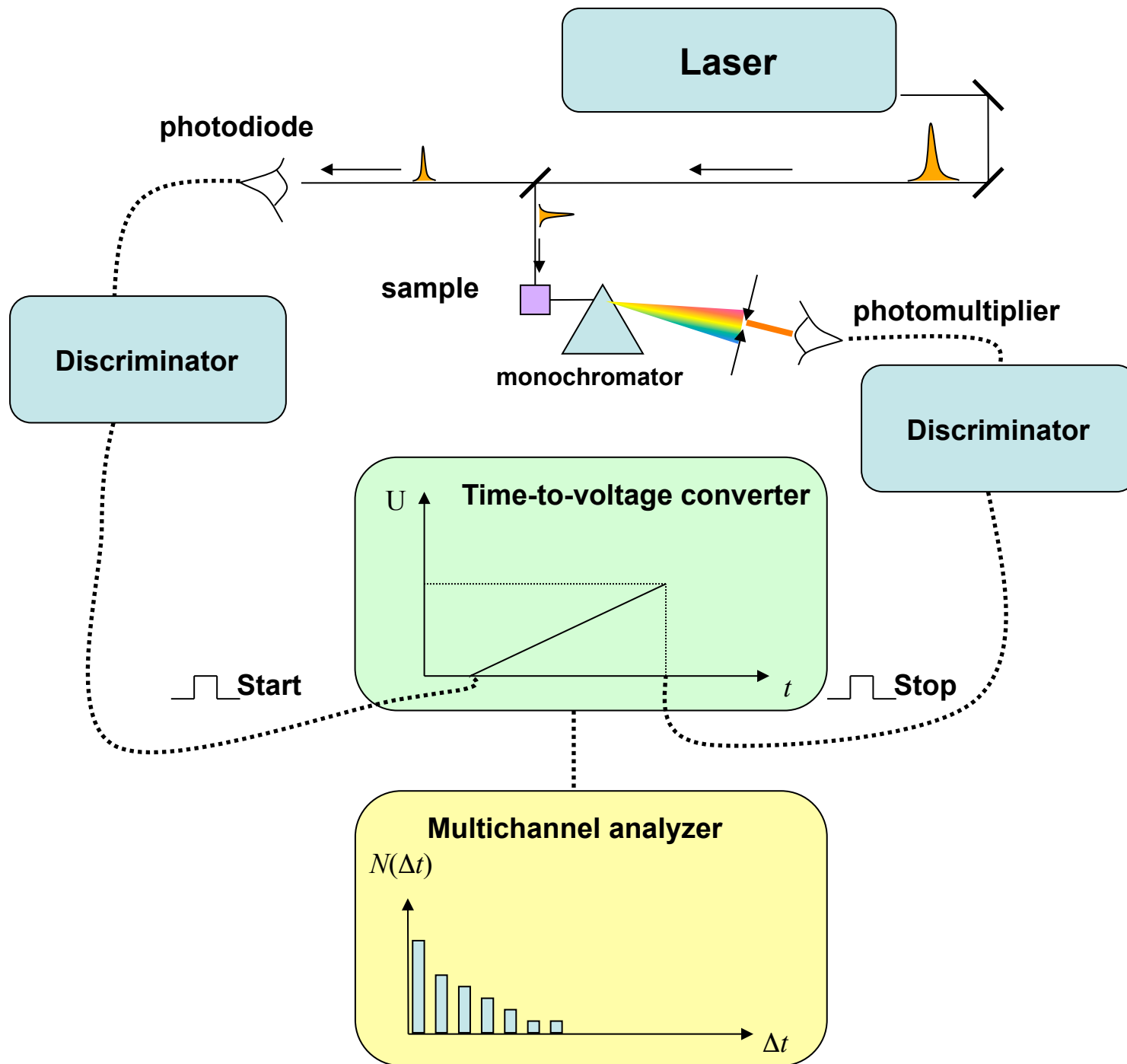
# Excite the sample with high rep.rate laser



The histogram of photon arrival times (with respect to the corresponding laser pulses) is the fluorescence decay curve.

The method relies on statistics

Only the timing (not signal amplitude) noise is important



## Constant fraction discriminator: a way to avoid timing noise in variable amplitude signal

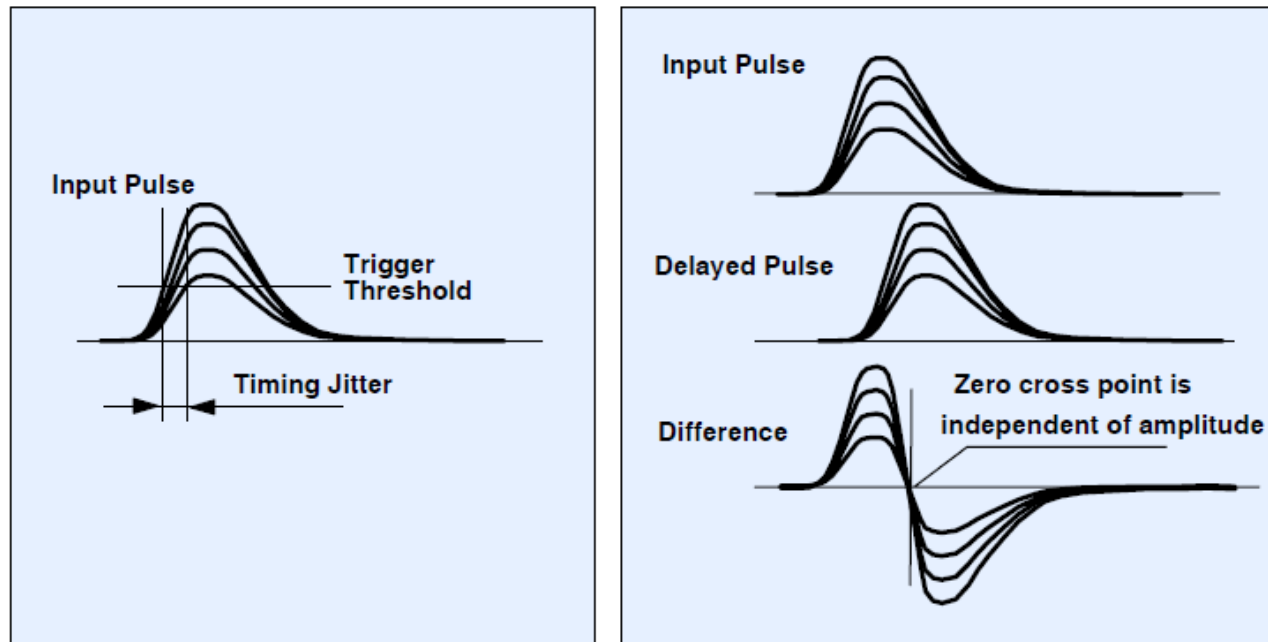


Fig. 158: Leading-edge triggering (left ) and constant-fraction triggering (right)

Constant fraction of the total amplitude of a particular pulse. The circuit also discriminates on the total amplitude (threshold) to reject very small spurious pulses.

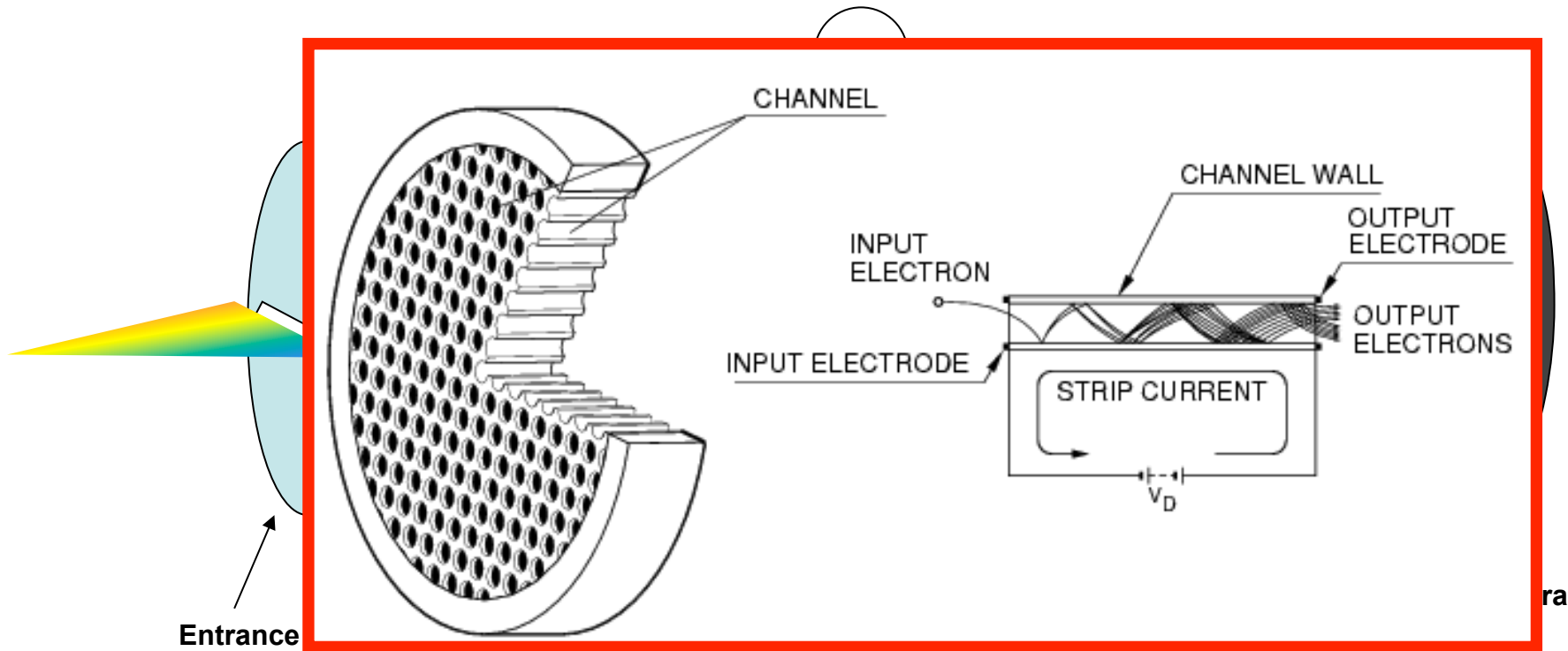
# TCSPC: features

- Time resolution 50-150 ps (limited by electronic jitter of the detector)
- 'Cheap'
- Good signal-to-noise (as good as you are willing to wait)
- No intense lasers necessary (semiconductor lasers are enough)
- Single-color
- Suitable for imaging (FLIM)

# Time resolved fluorescence techniques:

Streak camera





Entrance

CHANNEL

CHANNEL WALL

INPUT ELECTRON

OUTPUT ELECTRODE

INPUT ELECTRODE

OUTPUT ELECTRONS

STRIP CURRENT

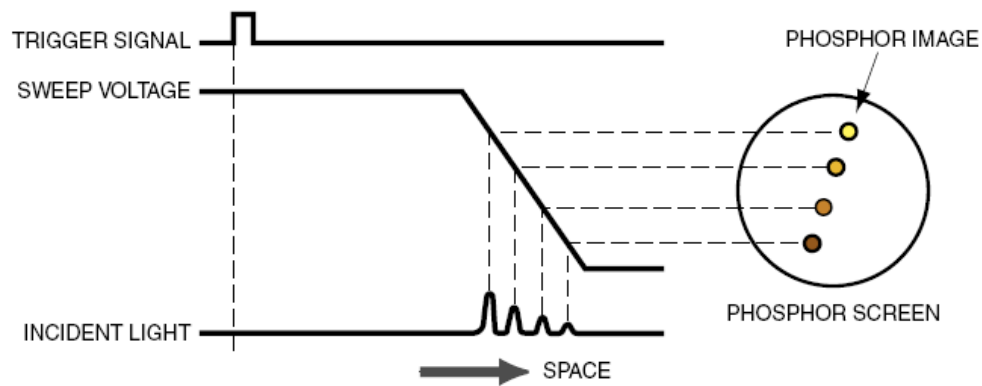
$V_D$

Acceleration grid

Deflection electrodes

Microchannel plate

Phosphor screen

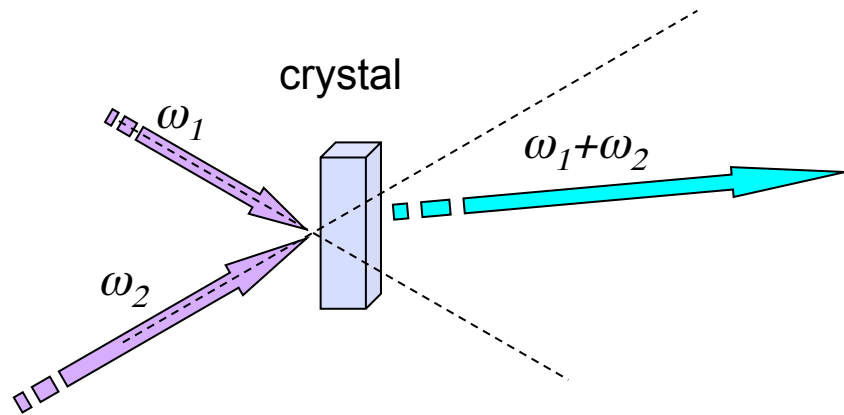


# Streak camera

- Simultaneous measurement of the spectrum and the kinetics.
- Very sensitive
- Time resolution of synchroscan cameras down to 1-2 ps.
- Expensive (~500 k€) ;

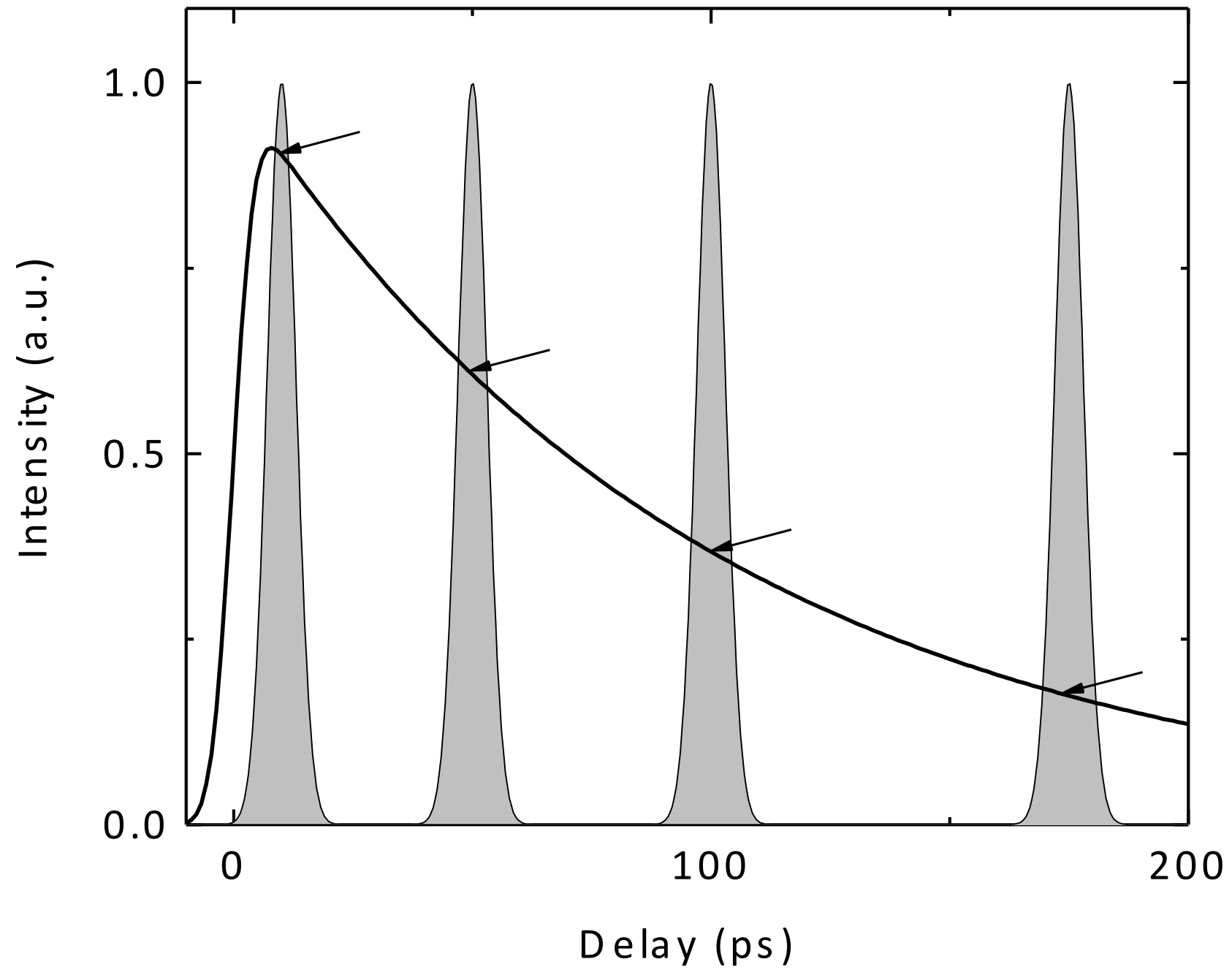
Time resolved fluorescence  
techniques:

upconversion

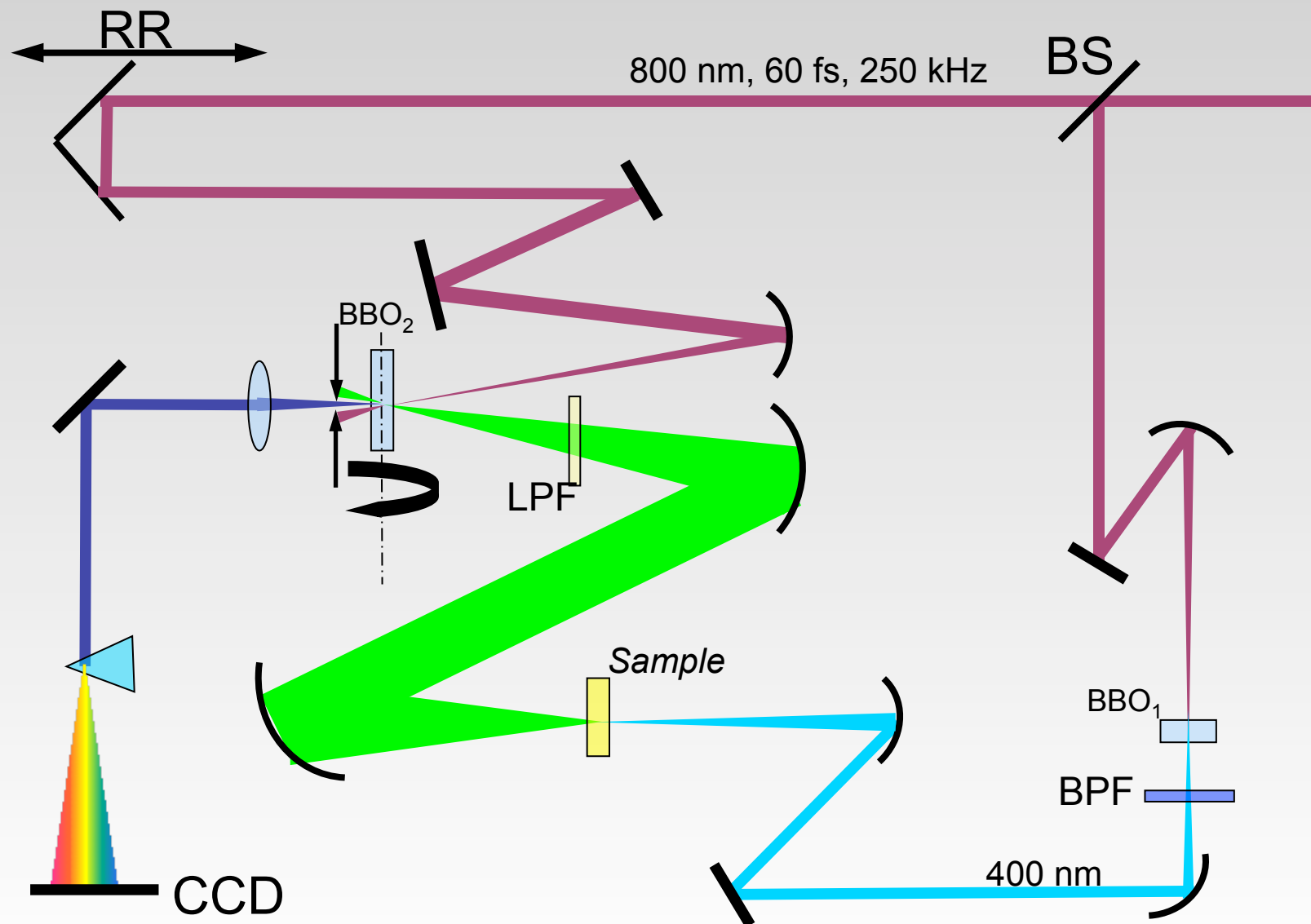


$$I_{sum}(t) = I_{gate}(t) \times I_{fluoresc.}(t)$$

$$\frac{1}{\lambda_{sum}} = \frac{1}{\lambda_{gate}} + \frac{1}{\lambda_{fluoresc.}}$$



# *Dispersed Fluorescence Upconversion Setup*



# Fluorescence upconversion

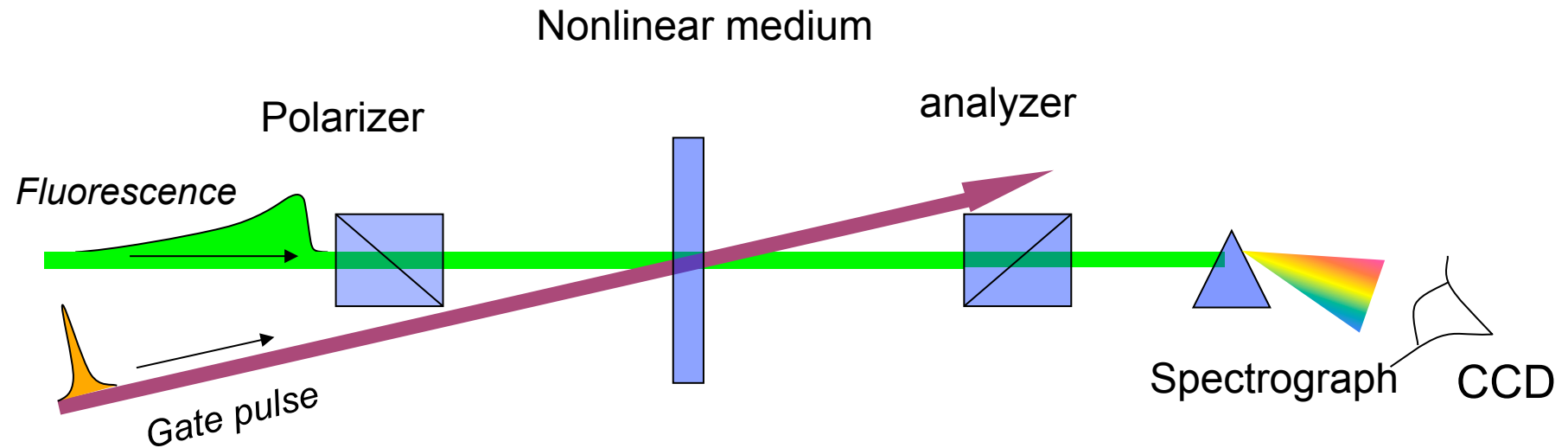
- Problem: calibration of spectral sensitivities at different wavelengths
- Time resolution down to 50fs!
- A lot of excitation light required (bad for the samples)
- Experiments take time (one wavelength is phasematched at a time)
- Wavelength resolution limited by the spectral width of the gate pulse.

# Time resolved fluorescence techniques:

Optical Kerr shutter



# Kerr shutter



$$n = n_0 + n_2 I$$

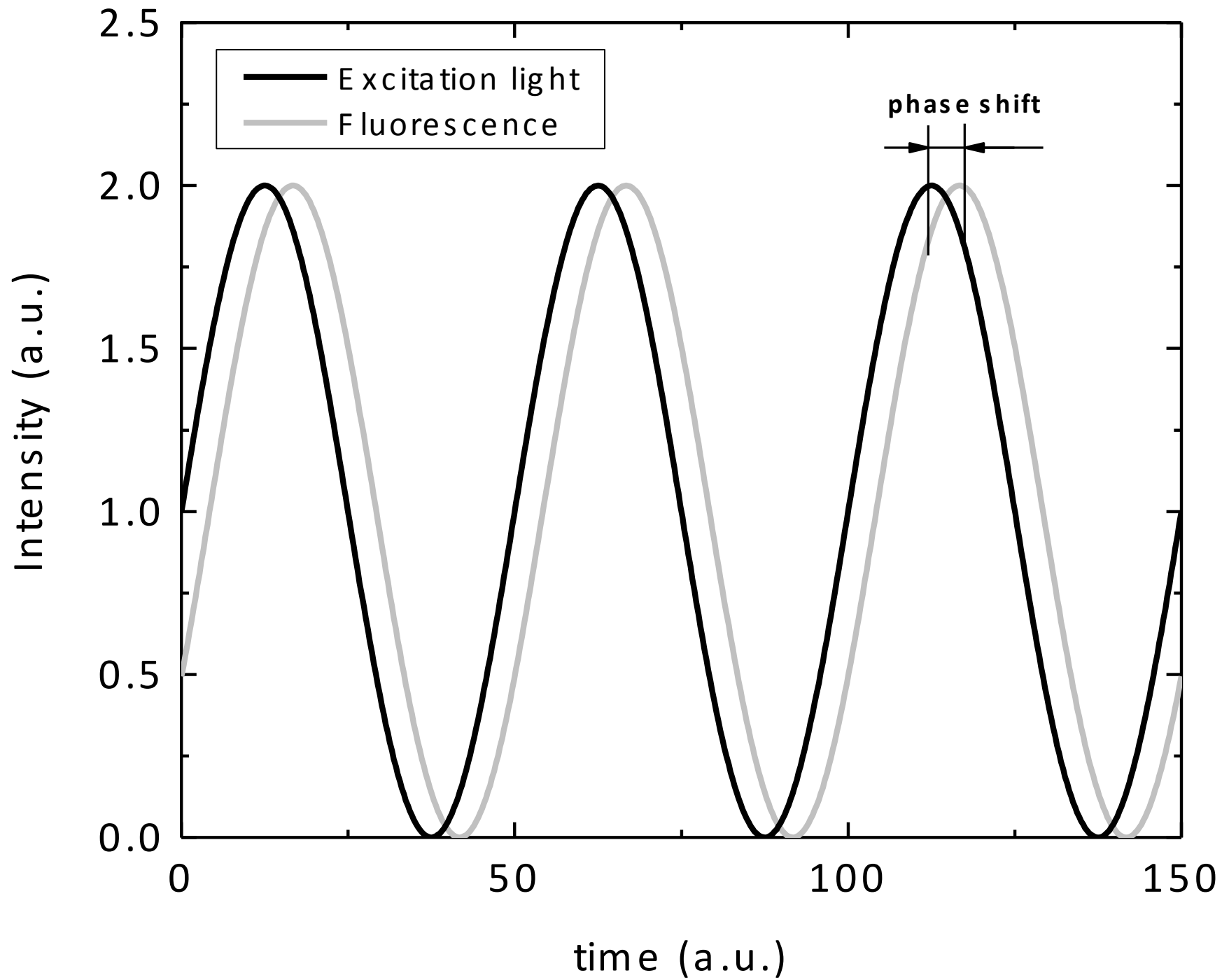
Optical Kerr effect – birefringence induced by the (polarized) electric field.  
Nonlinear medium operates as a shutter that is open only during the gate pulse.

# Optical Kerr shutter

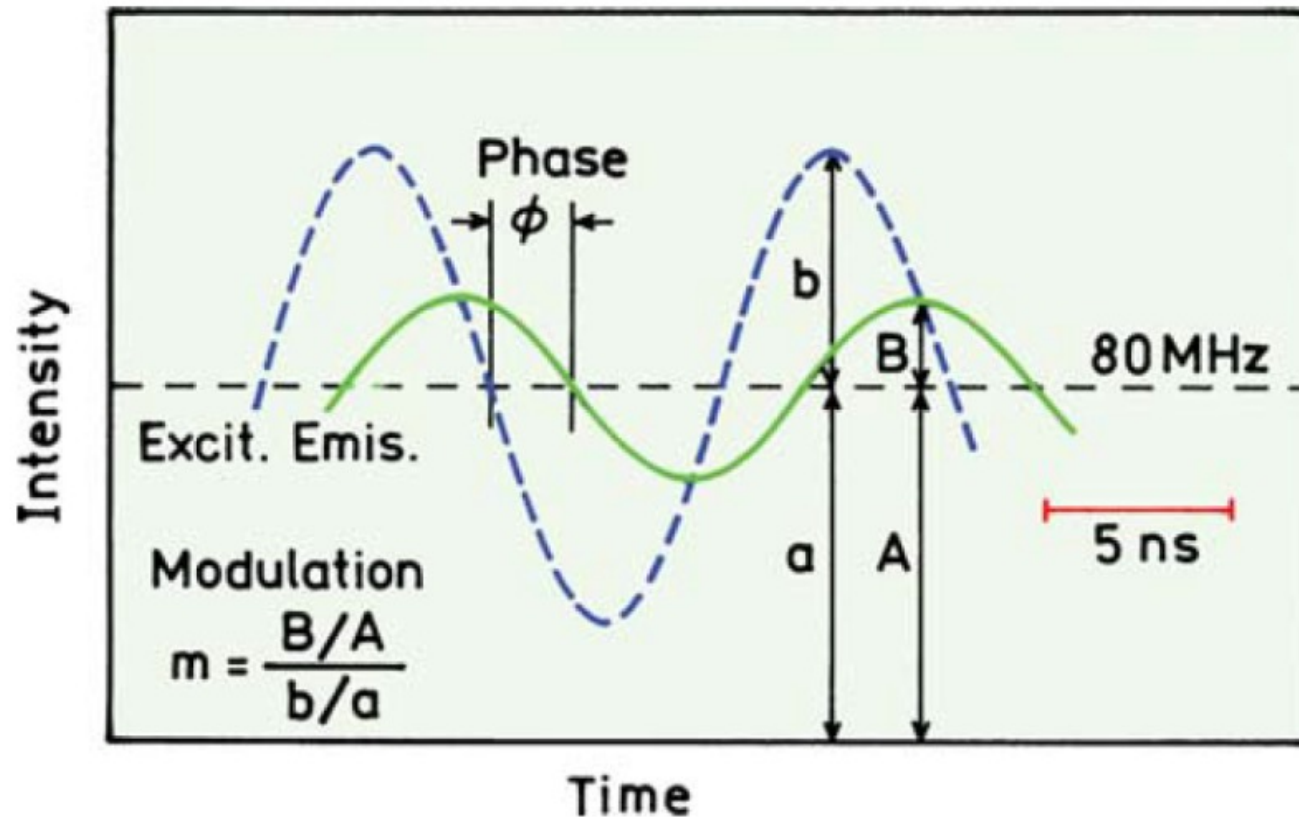
- Entire fluorescence spectrum measured at a time
- Time resolution down to 50 fs
- Extremely high laser intensities required
- Materials with large Kerr effect have inertial response ( $\text{CS}_2$ , water)
- Troublesome experimental implementation

# Time resolved fluorescence techniques:

Phase fluorimetry (a.k.a. frequency domain fluorescence lifetime measurement)



# More frequencies – more complex decays can be disentangled



**Figure 5.2.** Definitions of the phase angle and modulation of emission. The assumed decay time is 5 ns and the light modulation frequency is 80 MHz.

# Molecules are acting as an integrating filter in electronics

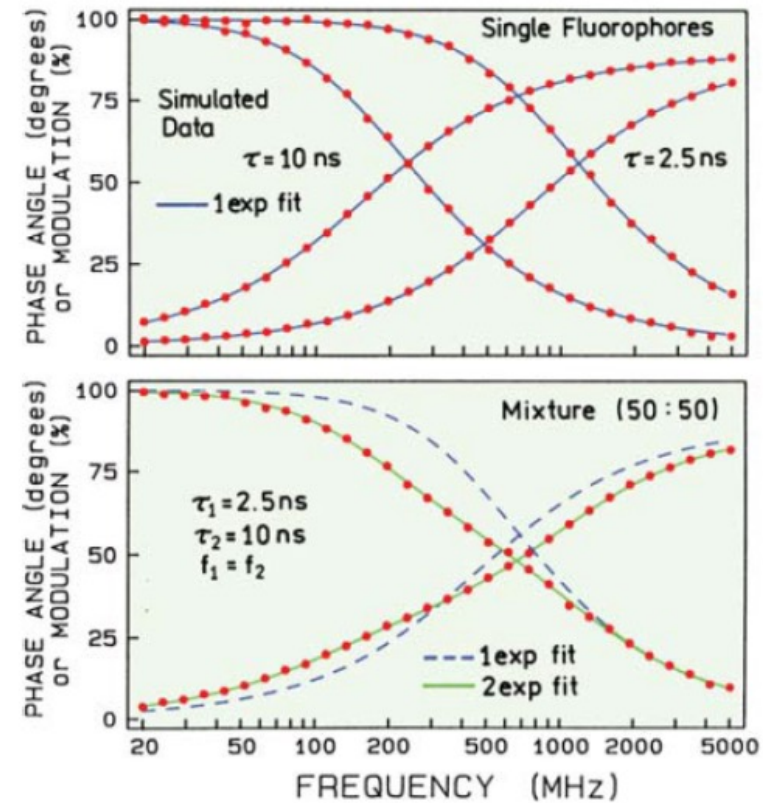
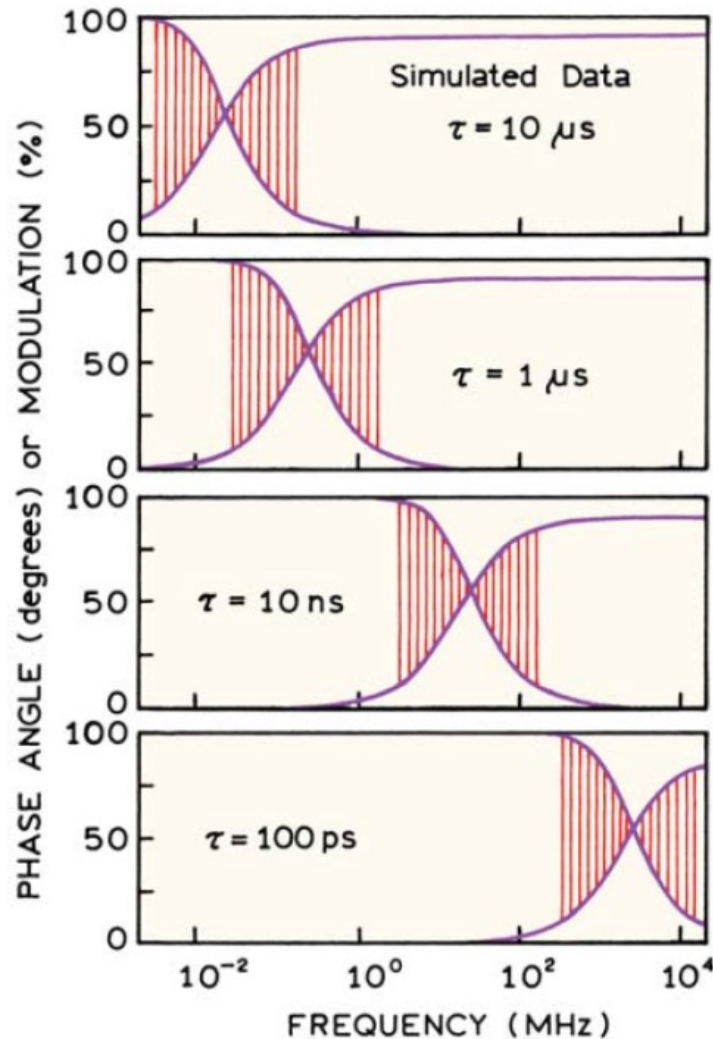


Figure 5.5. Simulated frequency-domain data for single- (top) and double- (bottom) exponential decays. The phase angle increases and the modulation decreases with increasing modulation frequency. The datapoints indicate the simulated data. **Top:** The solid lines show the best fits to a single decay time. **Bottom:** The dashed and solid lines show the best single- and double-exponential fits, respectively.

# Phase fluorimetry (time domain lifetime measurements)

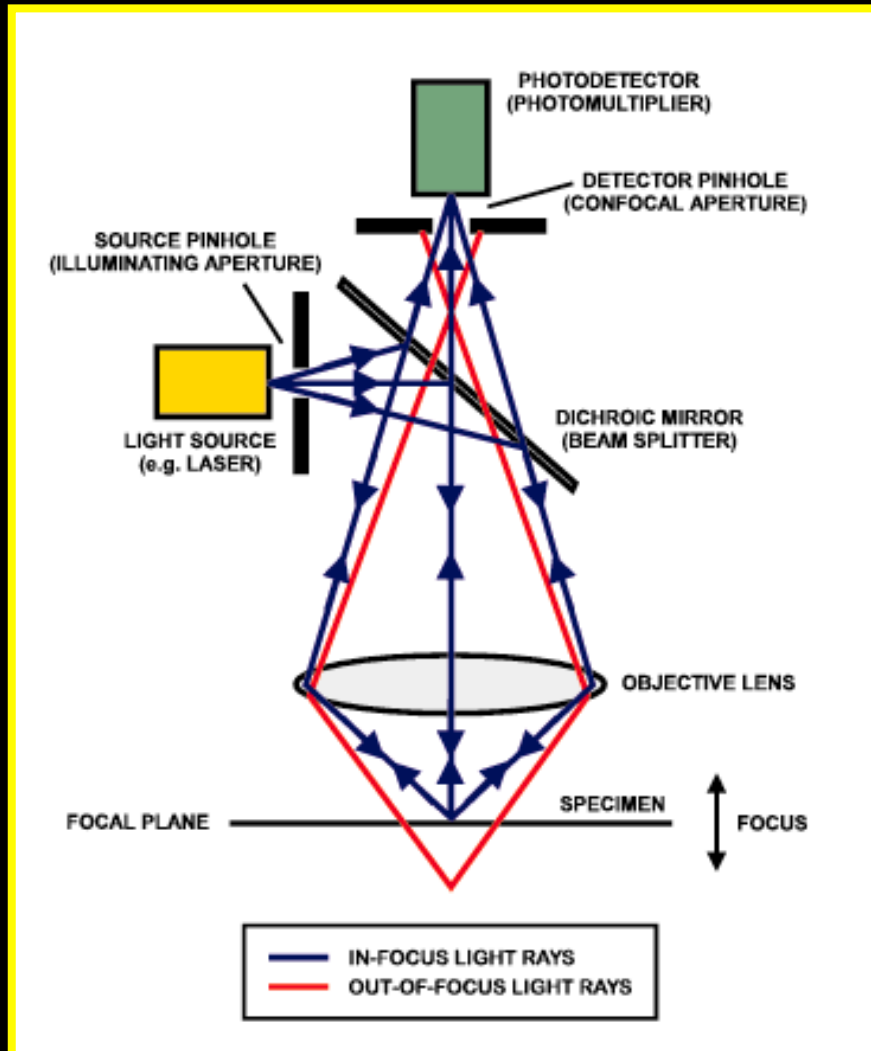
- Current modulation techniques allow wideband sweeping of the modulation frequency to deconstruct response curves.
- Non-intuitive artifacts.
- Decay recovery is based on the assumptions on the (exponential?) decay of emission.
- No expensive equipment required (?)
- Good choice for 'quick and dirty' analysis of multiple samples.

# Time resolved fluorescence: applications



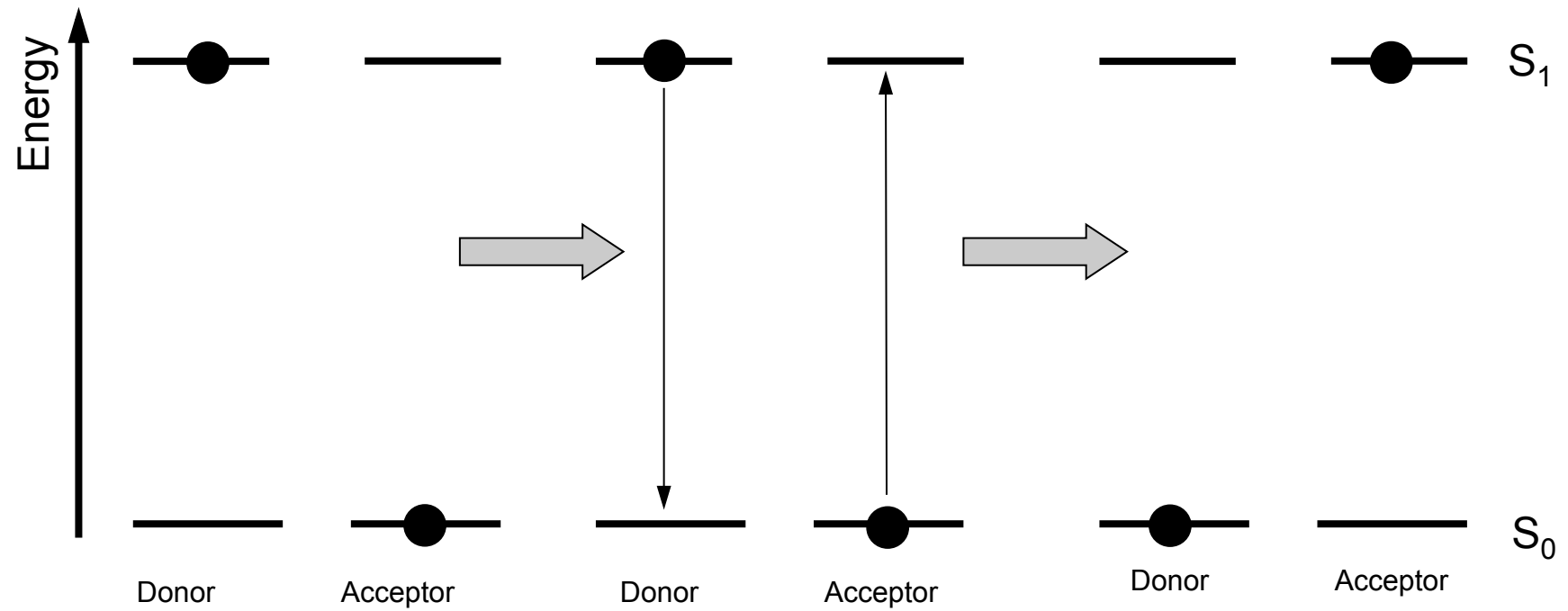
# FLIM for FRET

# Technical implementation of FLIM:



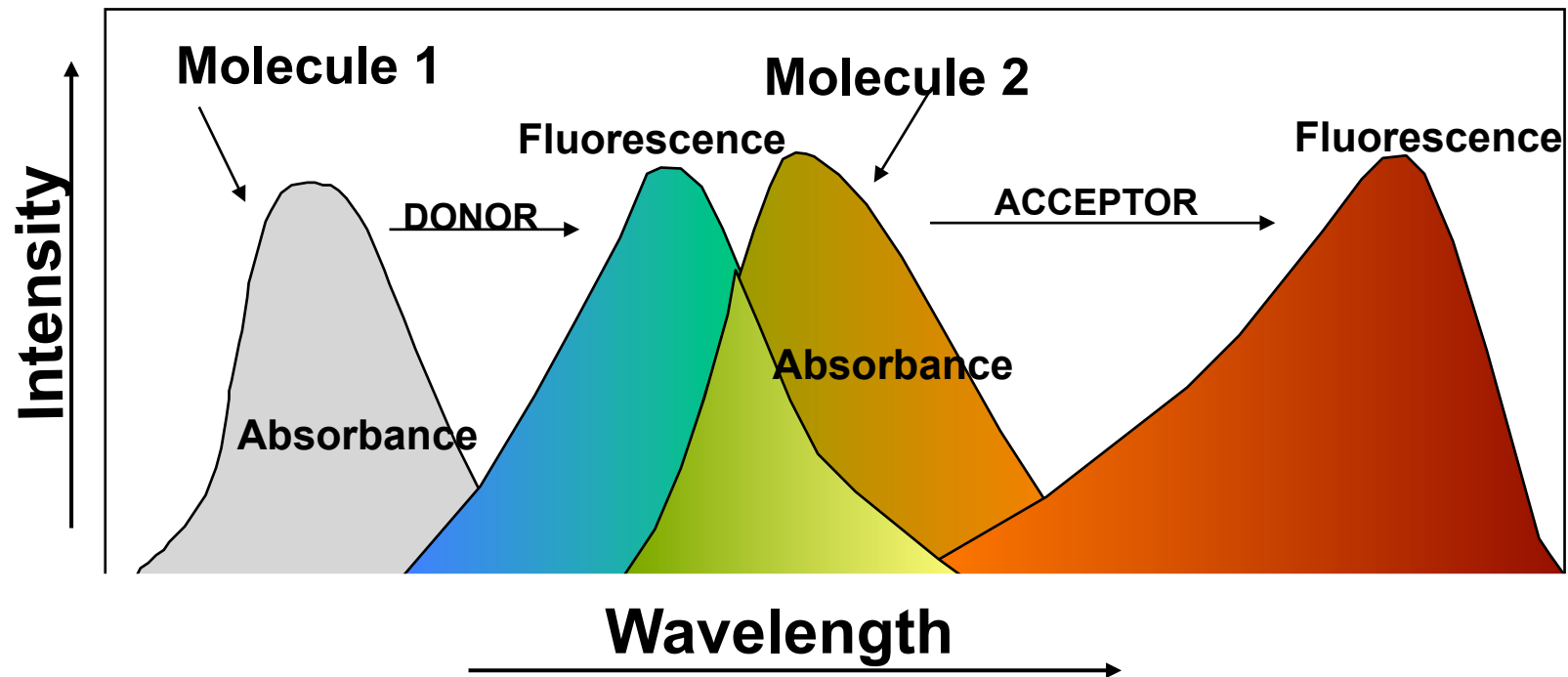
In your confocal microscope, replace excitation laser by a picosecond diode laser, and use a photon counting detector connected to TCSPC electronics

# Förster energy transfer



# Förster Resonance Energy Transfer

$$k_{DA} = \frac{9 \ln(10) \kappa^2 c^4 \phi_D}{80 \pi n^4 N_{av} \tau_D R^6} \int \frac{F_D(\omega) A_A(\omega)}{\omega^4} d\omega$$



# Assumptions

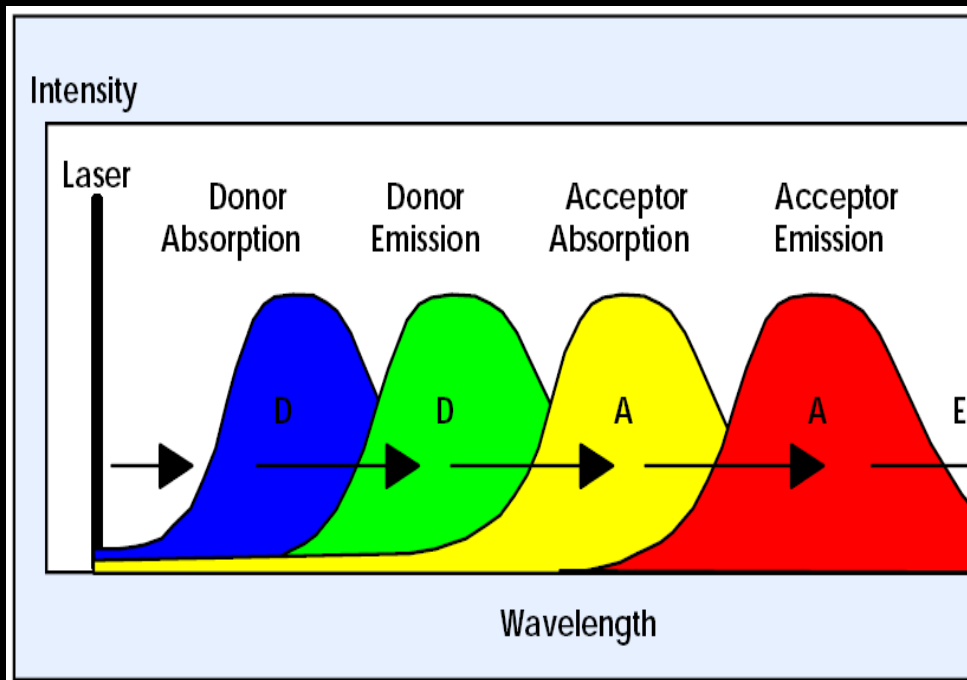
---

- When transfer is over, the correlation between donor and acceptor state is lost
- No orbital overlap between donor and acceptor (large distances)
- Dipole-dipole coupling
- Donor has relaxed to the bottom of its emissive state

*After all these assumptions it is almost a miracle that the model works, but it does, and does it amazingly well.*

# FLIM and FRET

- Optical ruler for ~10 nm distances.



$$k_T(r) = \frac{1}{\tau_D} \left( \frac{R_0}{r} \right)^6 = \text{TRANSFER RATE}$$

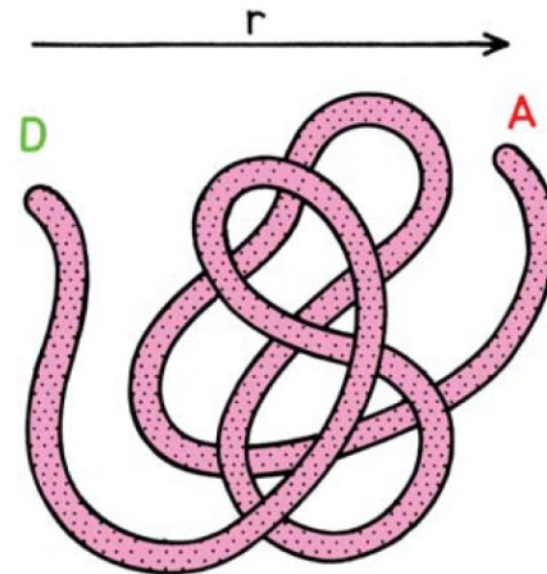
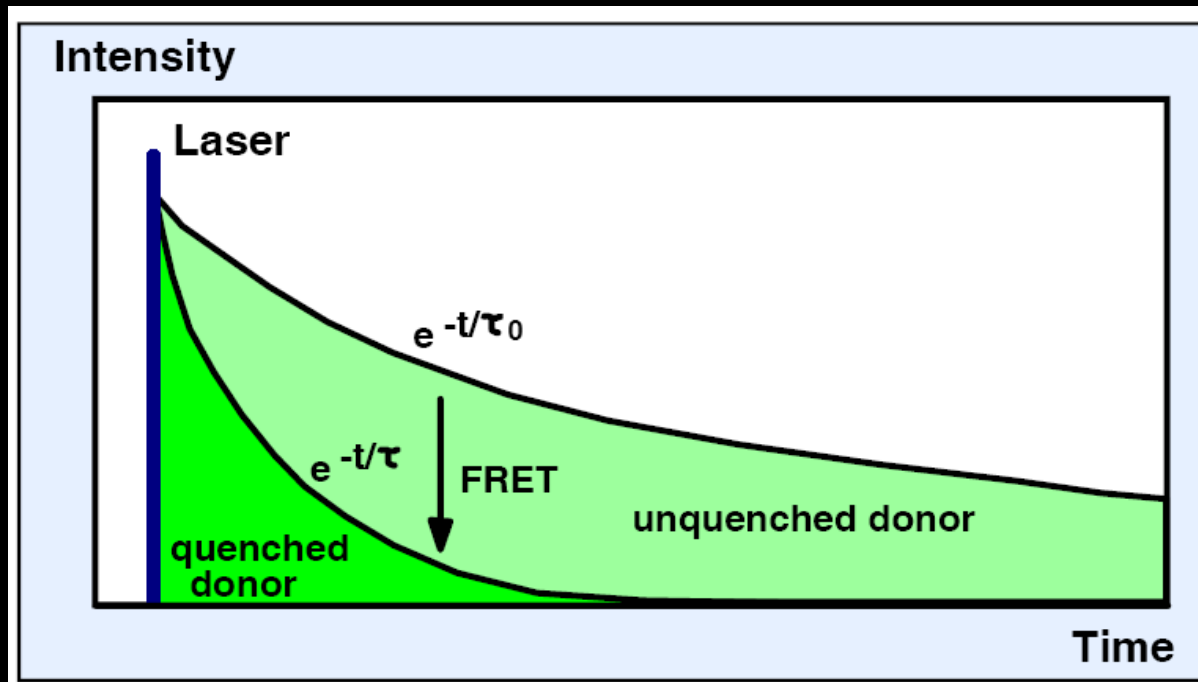


Figure 13.1. Fluorescence resonance energy transfer (FRET) for a protein with a single donor (D) and acceptor (A).

# Energy transfer and donor lifetime



Donor fluorescence lifetime is reduced, because the acceptor is “sucking away” excited states

# You could just look at the acceptor intensity, but

---

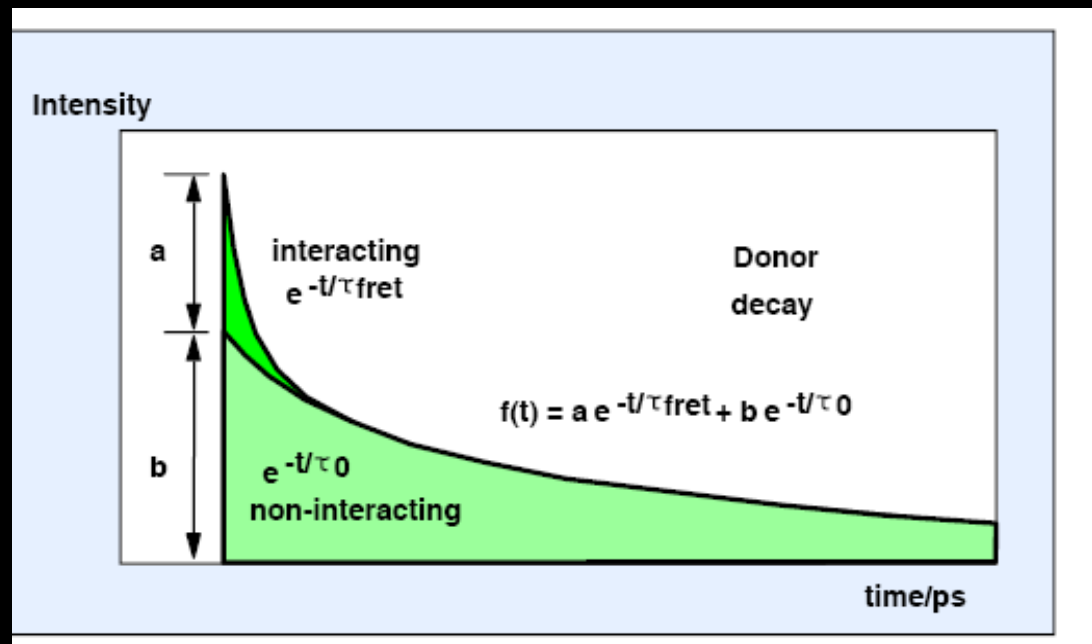
- Donor and acceptor concentrations in the cells are not known precisely
- Absorption spectra may overlap
- Calibration and control is tricky



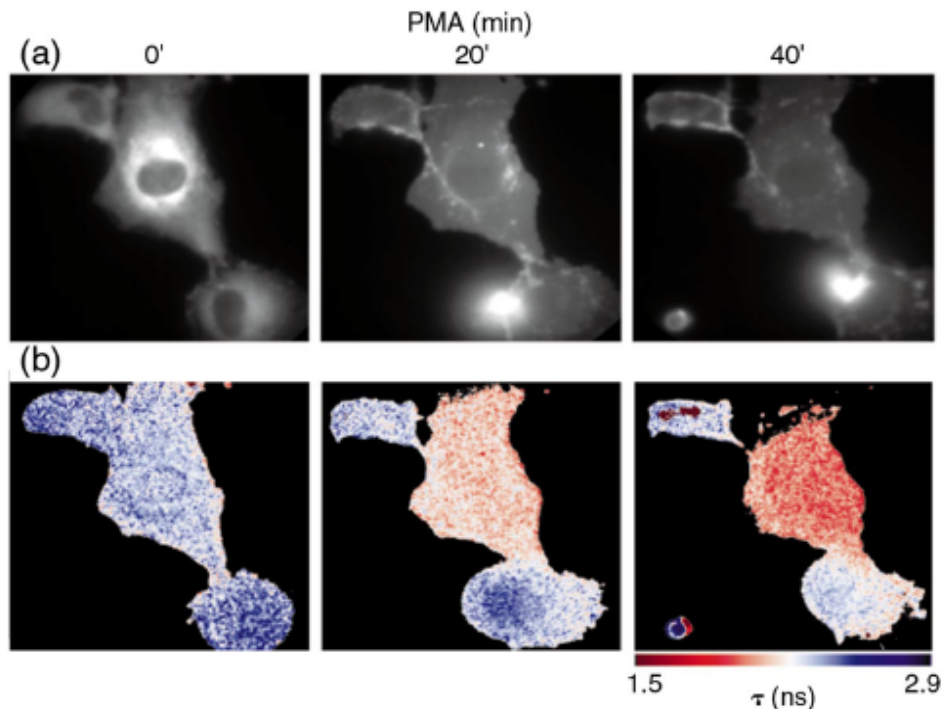
# Time-resolved FRET

- Direct measurement of the reduction in donor lifetime

1. No FRET – slow donor decay
2. Yes FRET – part of the donors disappear quickly.



# Time-resolved FRET – detailed spatial information on molecular interactions



**FIGURE 3**

Activation of green fluorescent protein (GFP)-tagged protein kinase C alpha (PKC $\alpha$ ) in live Cos7 cells measured by autophosphorylation using fluorescence lifetime imaging microscopy (FLIM). Only the middle cell was microinjected with site-specific IgG-Cy3.5. The cells were stimulated with 100 nM phorbol myristate acetate (PMA) and fluorescence lifetime images acquired at the times indicated. (a) Fluorescence images of GFP-PKC $\alpha$ ; (b) fluorescence lifetime images of GFP-PKC $\alpha$ . Note that the lifetimes only decrease in the middle microinjected cell owing to fluorescence resonance energy transfer (FRET) between GFP-PKC $\alpha$  and IgG-Cy3.5.

P.I.H. Bastiaens and A. Squire,  
*Trends in Cell Biology*, 1999. **9(2)**:  
p. 48-52.

# Isomerization of retinal in bacteriorhodopsin

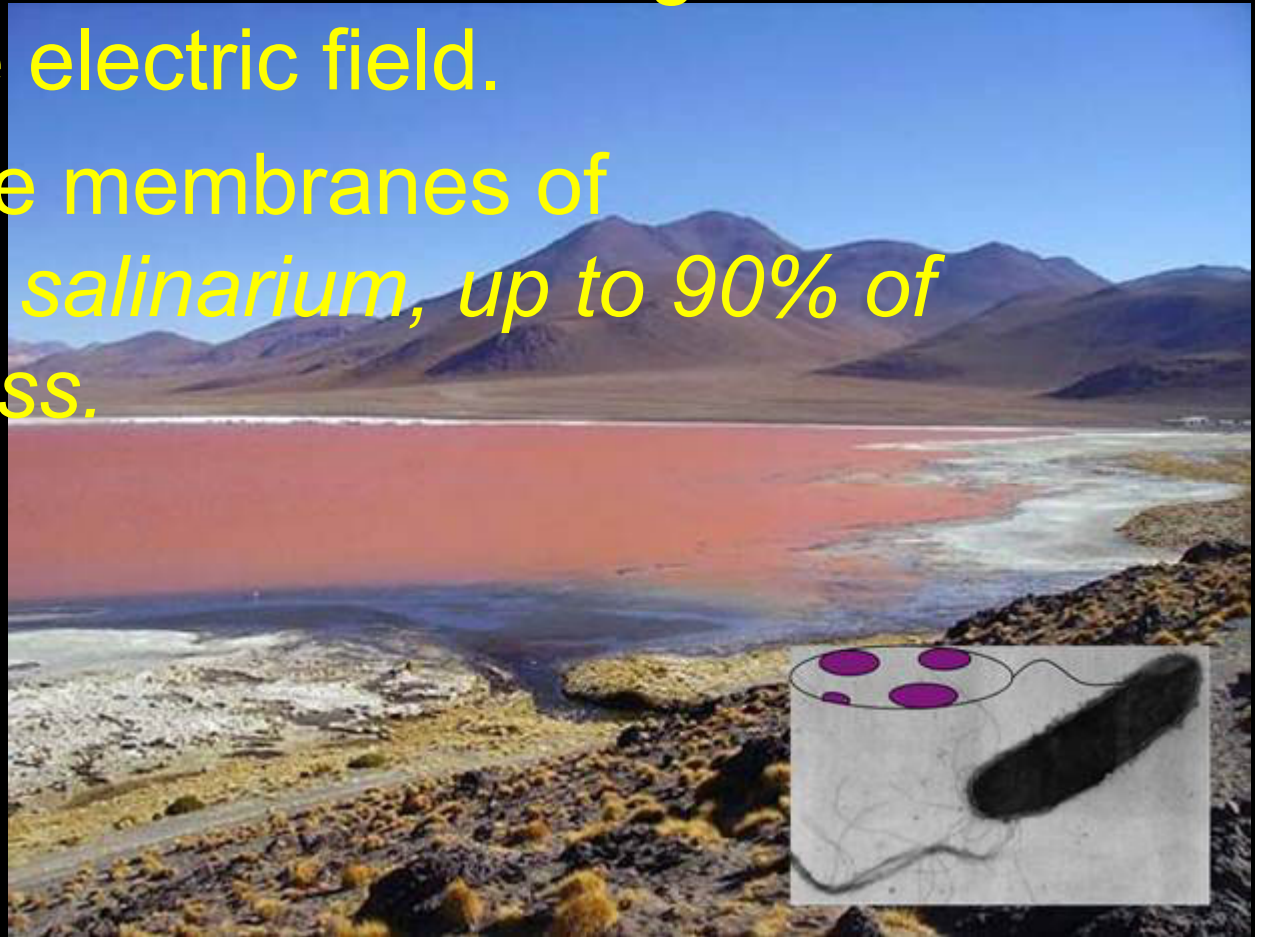
# Bacteriorhodopsin, summary of:

- Widely investigated:
  - Nature – 34 papers (1990 – 2012)
  - Science – 43 papers(1990 – 2012)
  - PNAS -173 papers (1990 – 2012)

*(Source: Web of science)*

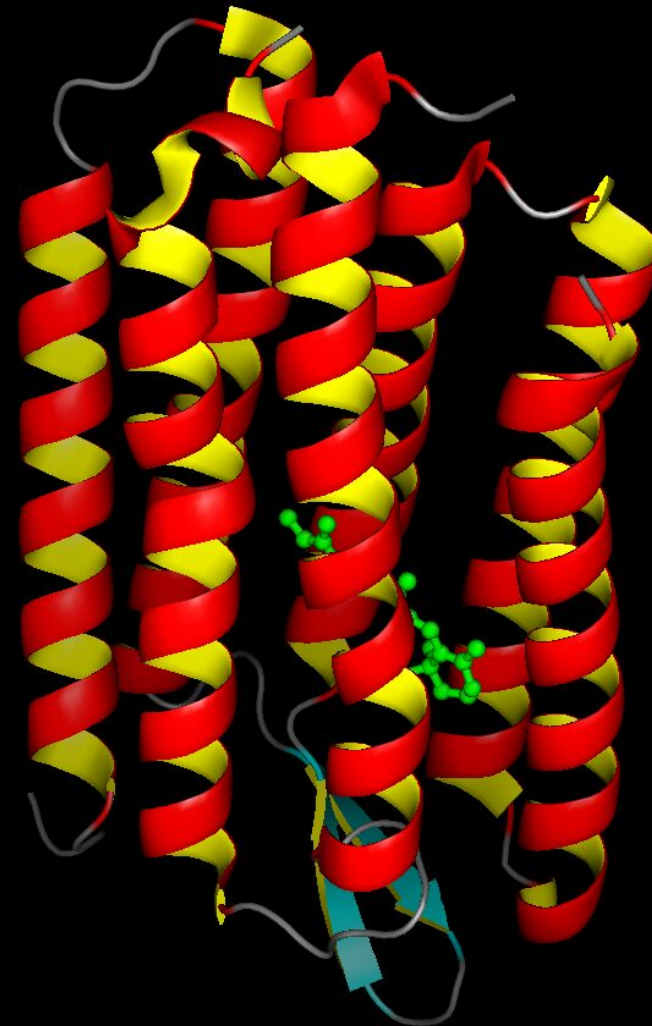
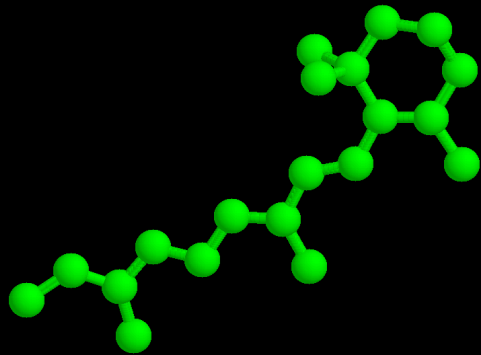
# Function:

- Light drive proton pump that pushes protons across the membrane against the direction of the electric field.
- Found in purple membranes of *Halobacterium salinarium*, up to 90% of membrane mass.



# Structure: membrane protein

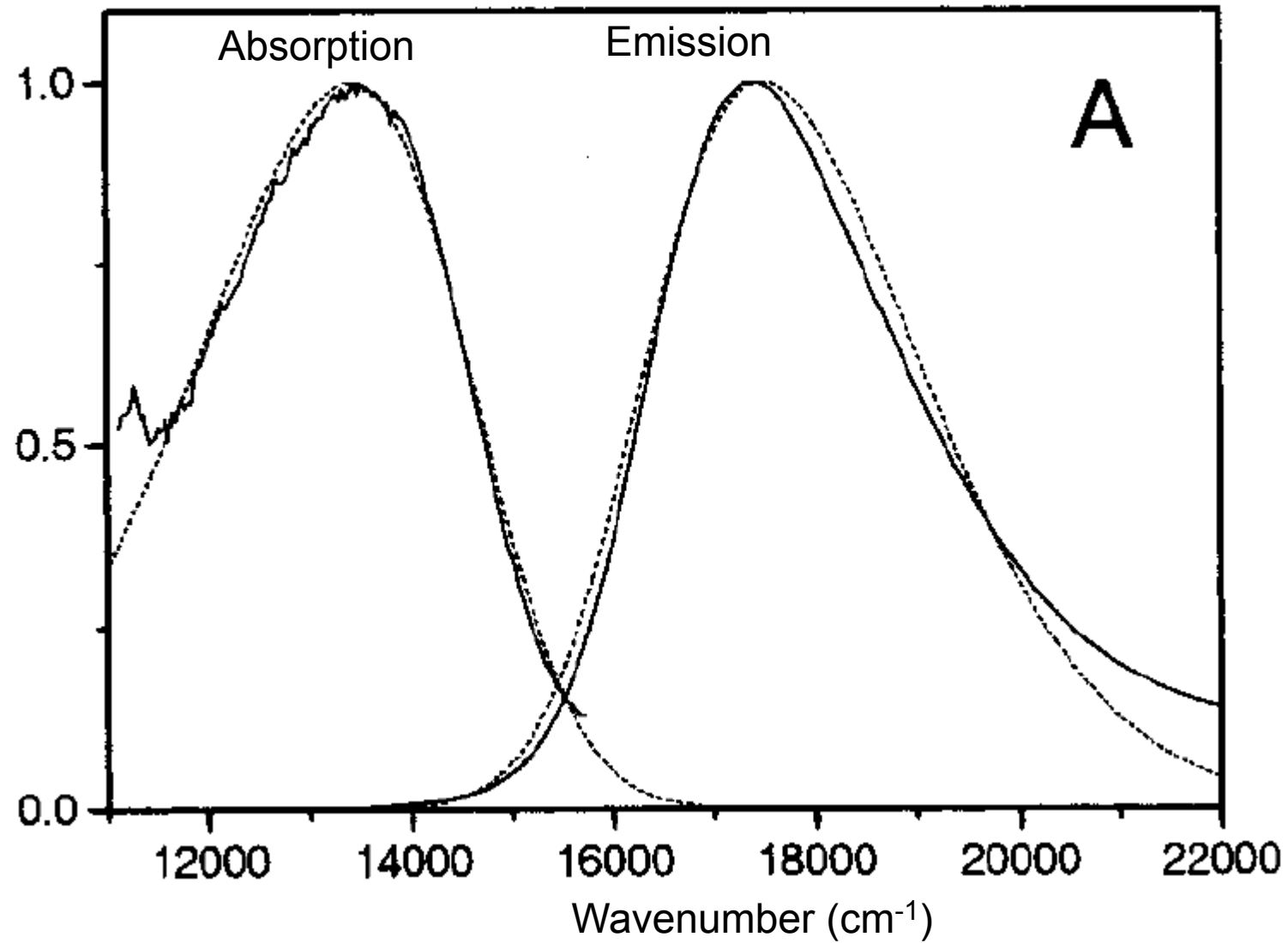
- Structure resolved to 1.65 Å.
- 7 alpha helices containing a retinal chromophore



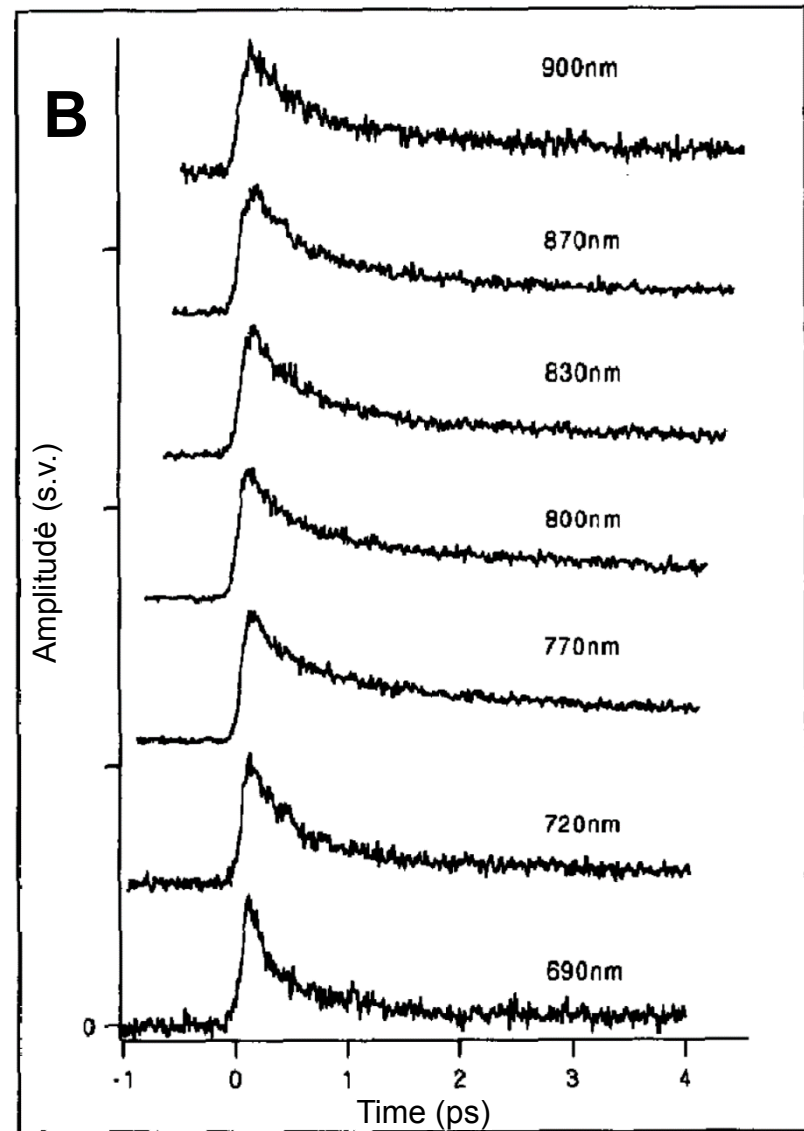
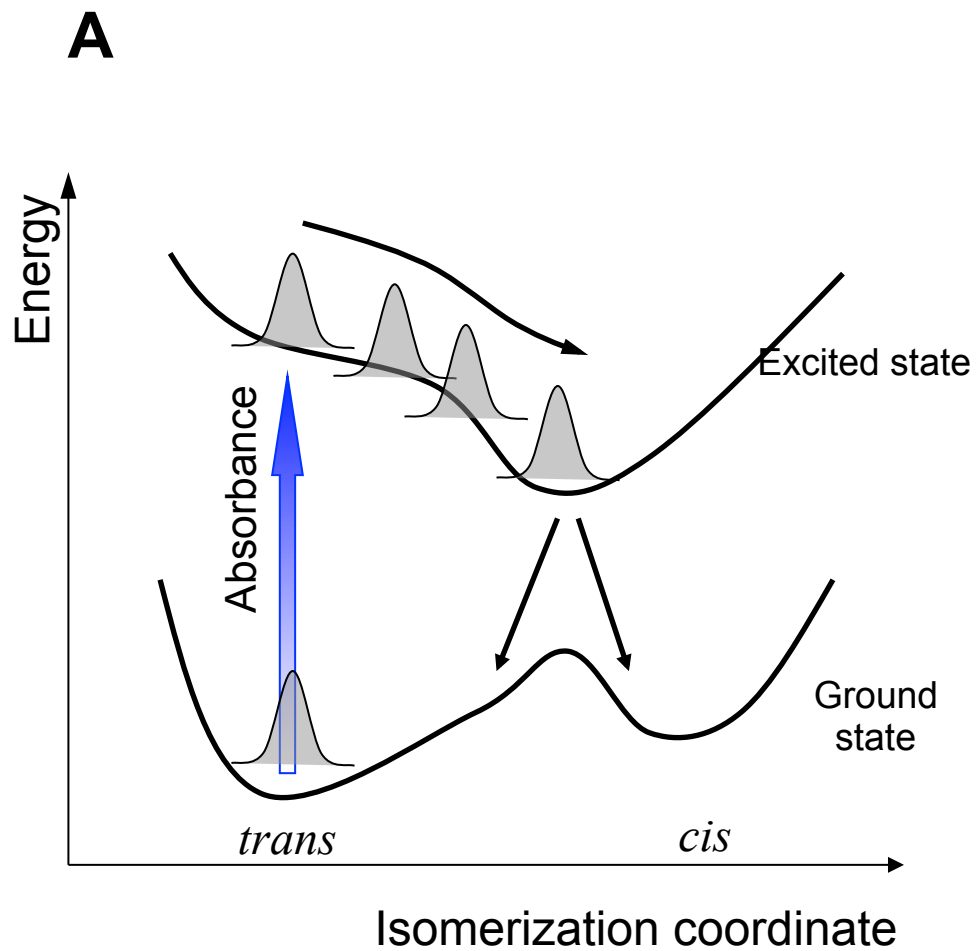
# Advantages:

- Chemically stable and photostable
- Well known structure, easy to crystalize
- Bacteria grow a lot of it
- Fast, photoactive and therefore interesting
- Can be used as biomolecular tool or a model system for photoreactions

# Absorption and emission



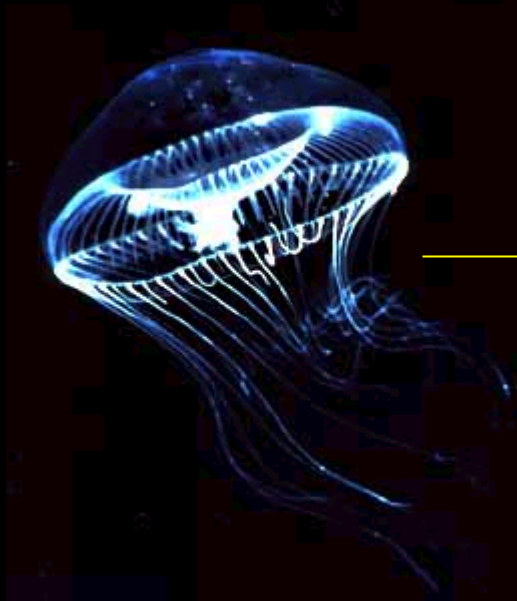




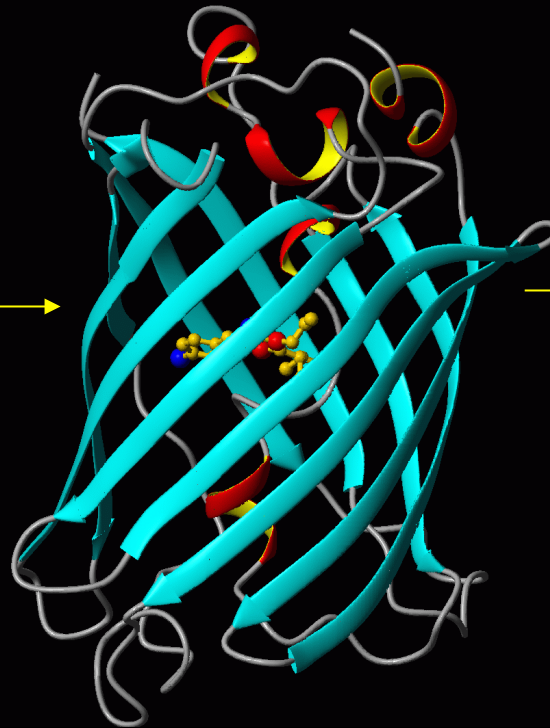
M. Du and G.R. Fleming, *Biophysical Chemistry*, 1993. **48**(2): p. 101-111.

# Green fluorescent protein

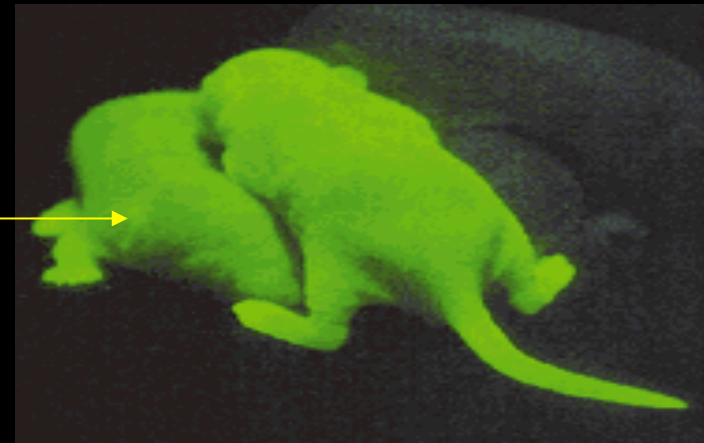
*Aequorea victoria: jellyfish*



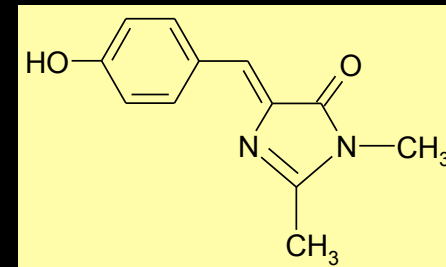
*GFP protein*

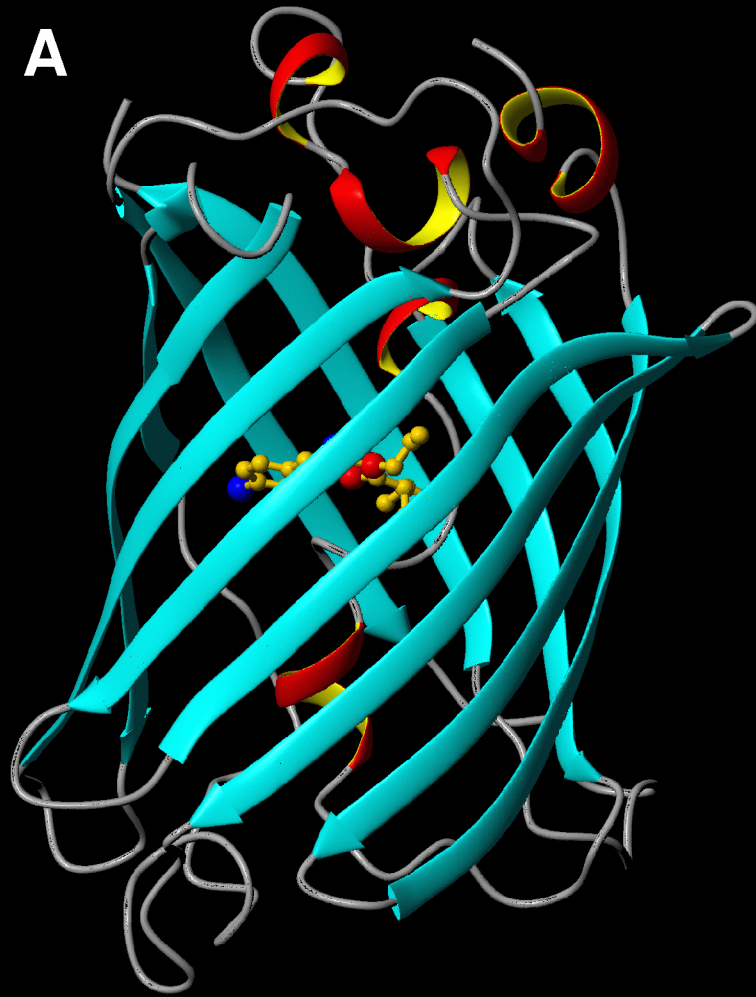
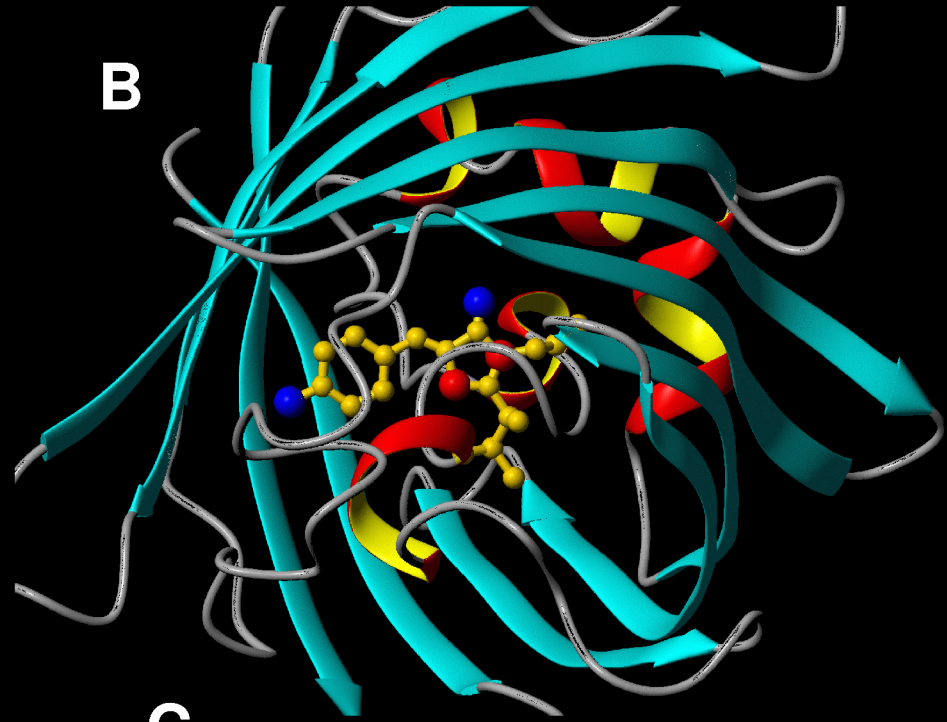
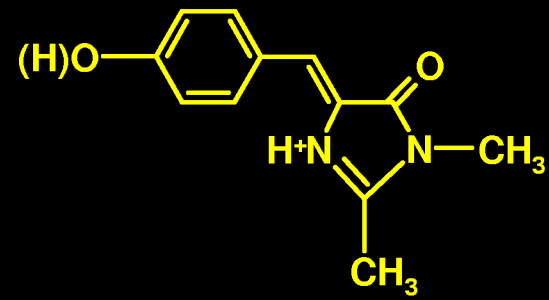


*Marker for molecular biology*

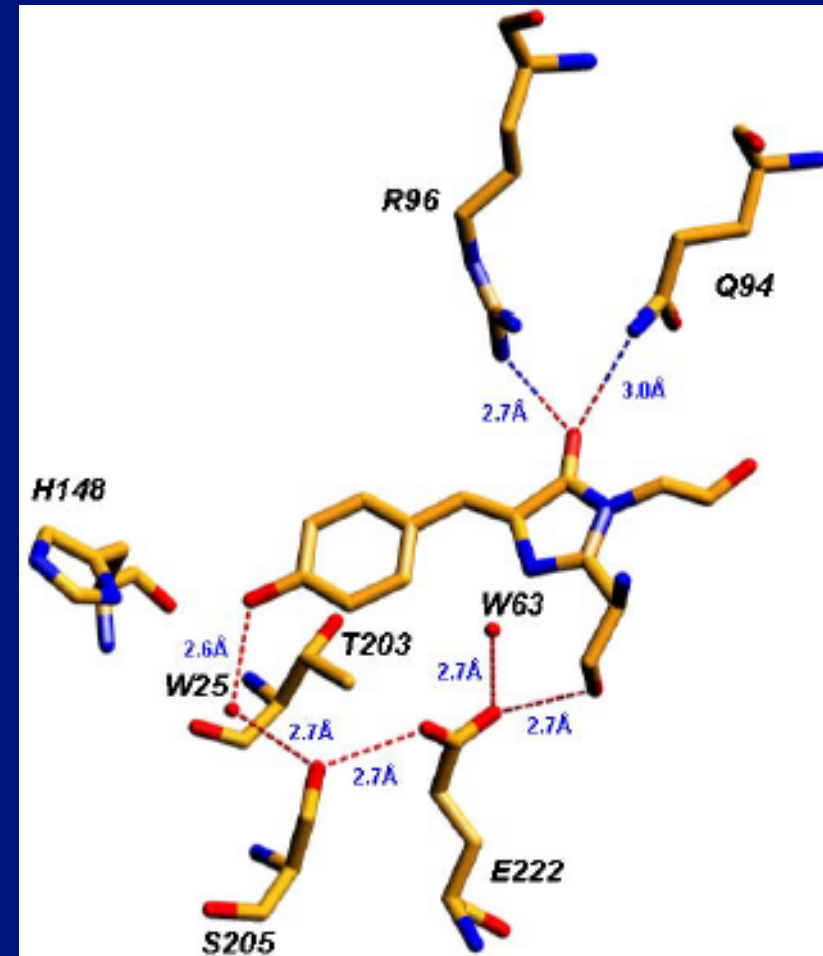
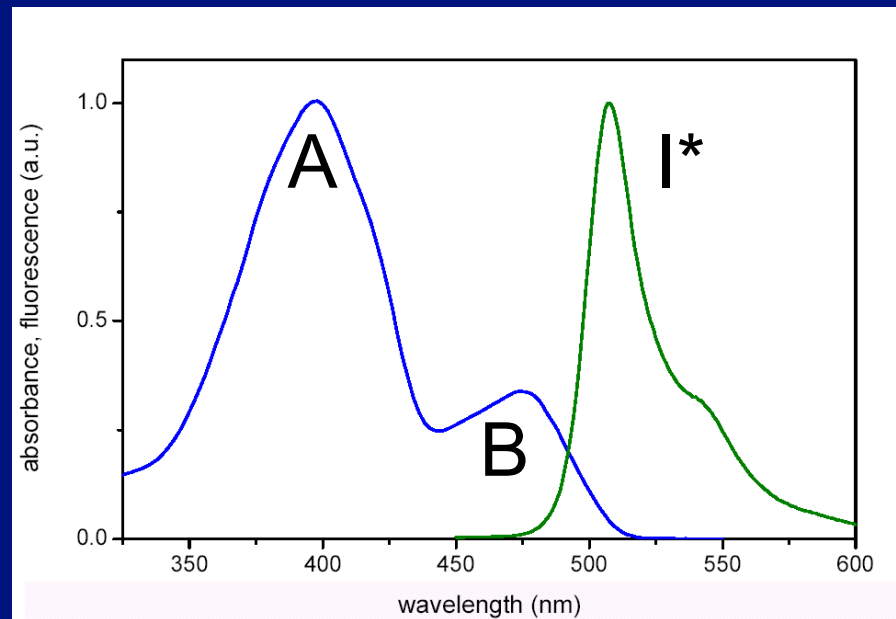


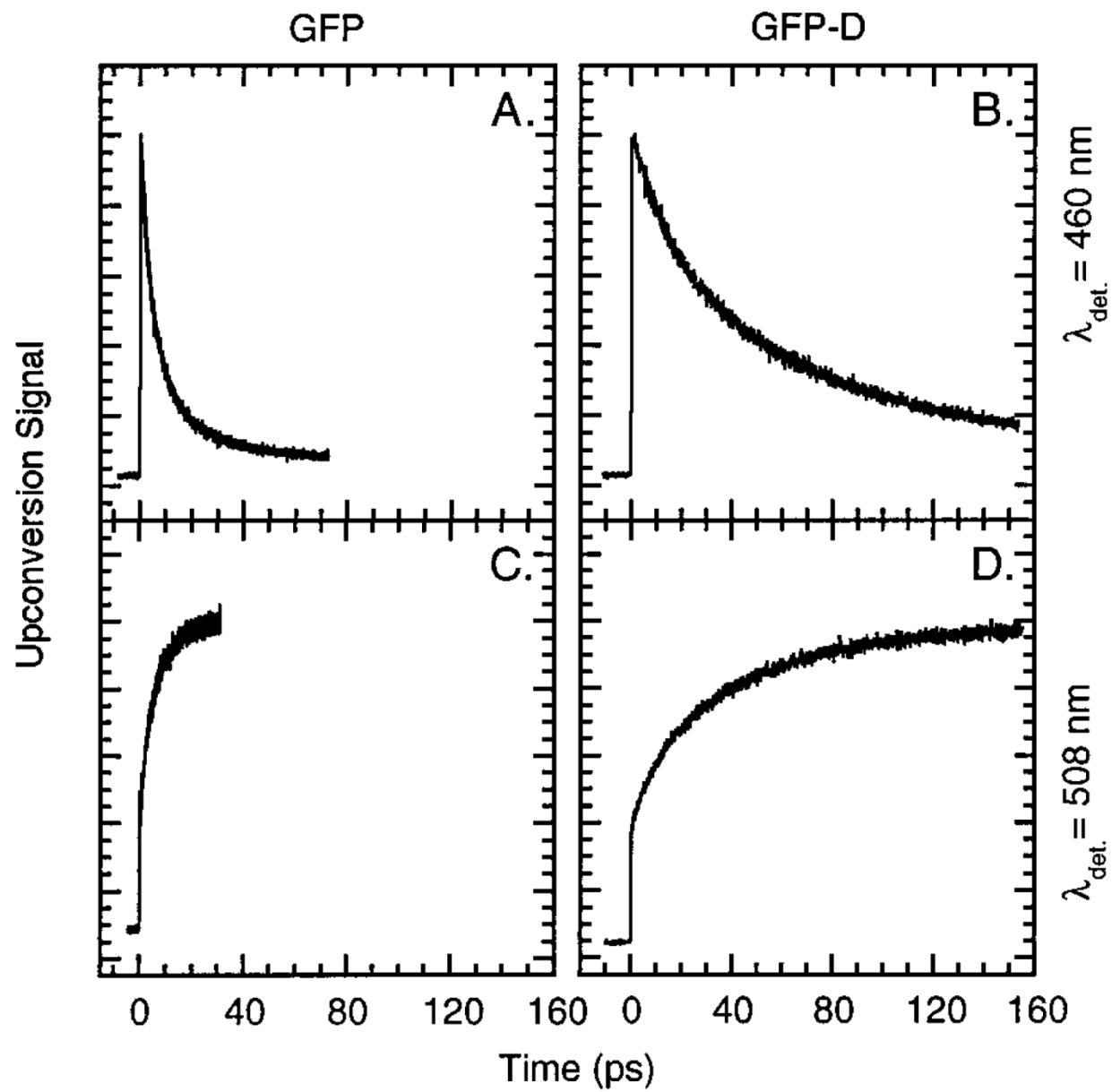
*GFP chromophore*



**A****B****C**

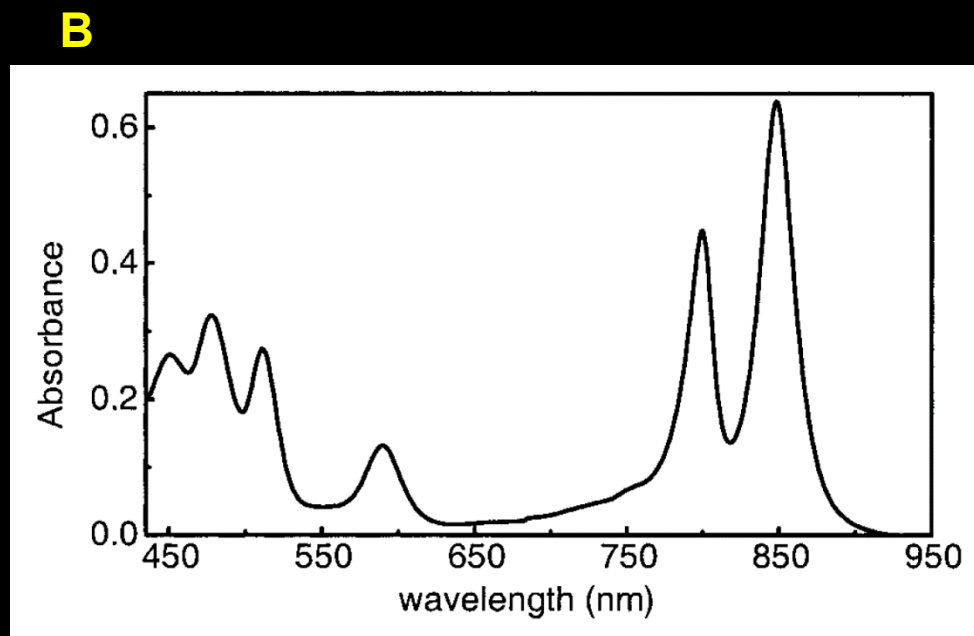
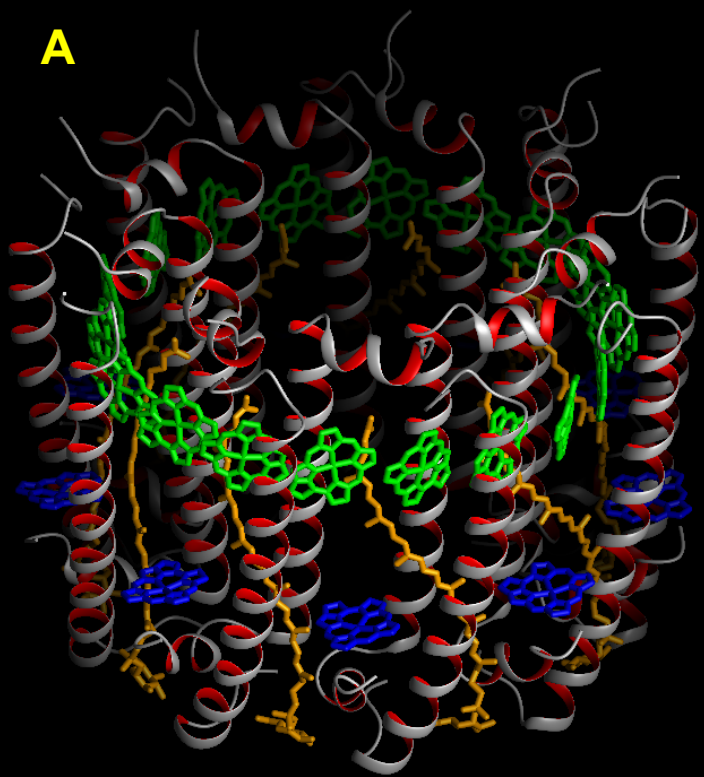
# *Fluorescence from GFP originates from 'I\*': Excited-state proton transfer*





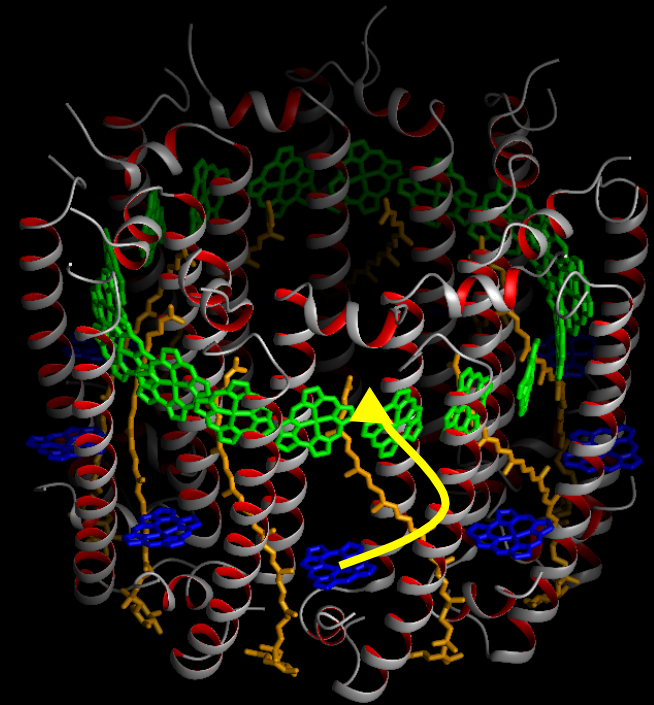
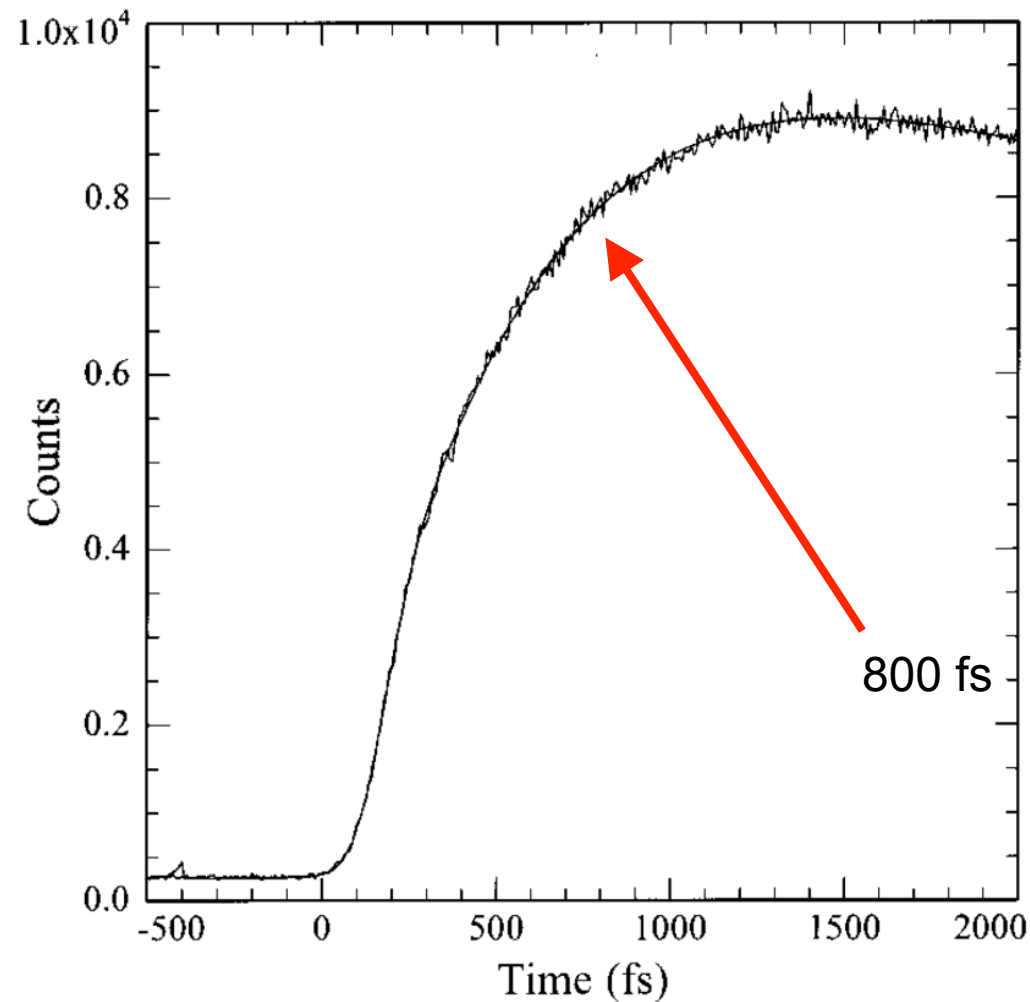
M. Chatteraj, B.A. King, G.U. Bublitz, and S.G. Boxer, *Proceedings of the National Academy of Sciences (USA)*, 1996. **93**: p. 8362-8367.

# Energy transfer in LH2 of purple bacteria



R. Jimenez, S.N. Dikshit, S.E. Bradforth, and G.R. Fleming, *Journal of Physical Chemistry*, 1996. **100**(16): p. 6825-6834.

**Fluorescence of the acceptor pigment develops with the delay after the excitation. The delay is equal to energy transfer time.**



# Energy transfer between isoenergetic pigments

- If the excitation energies of different pigments are equal, emission wavelength does not change due to energy transfer;
- Therefore, the fluorescence appears at that wavelength without any delay.
- However, the polarization of the emission will change!



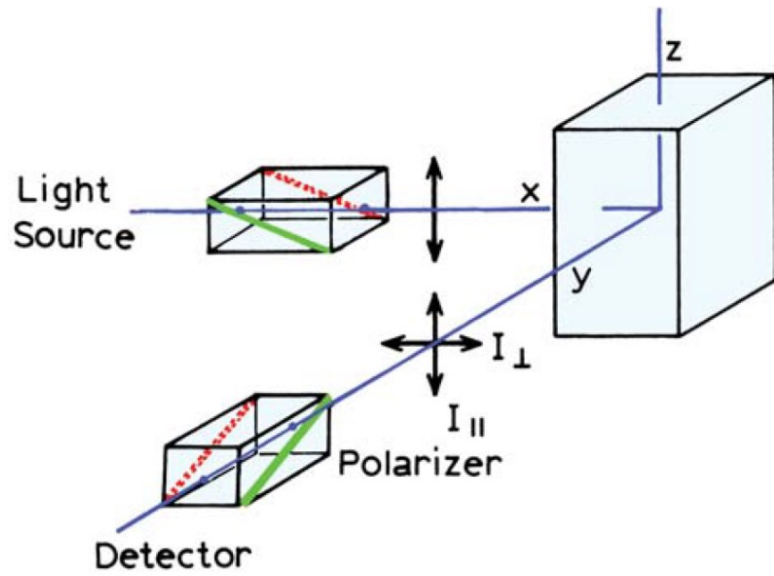
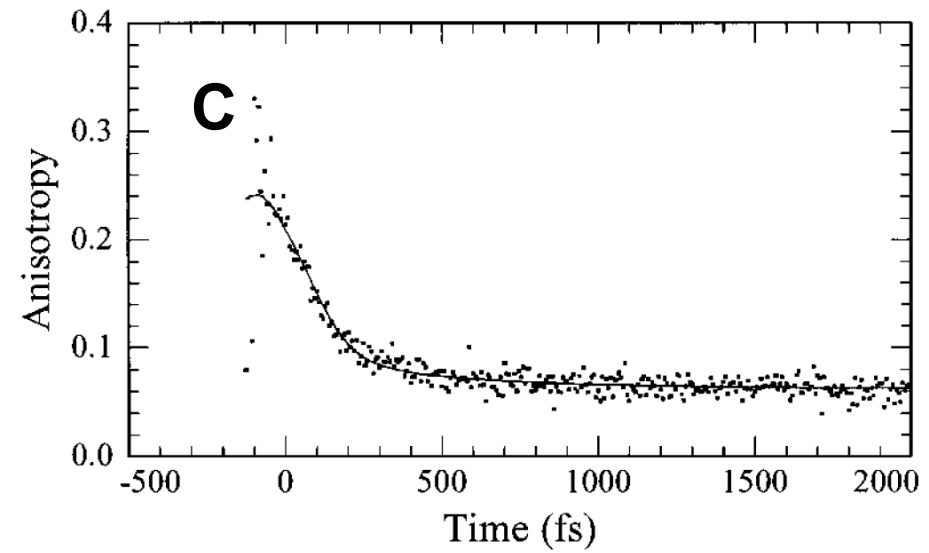
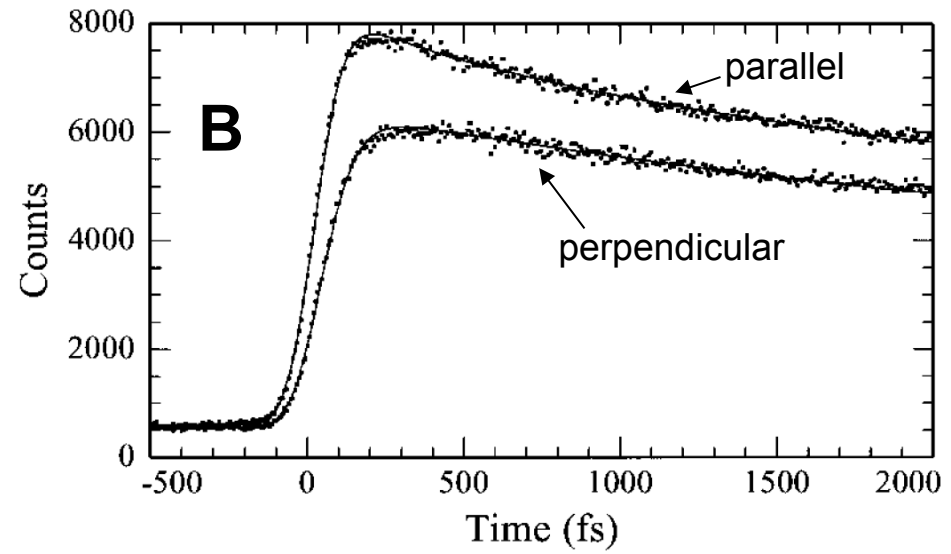


Figure 10.1. Schematic diagram for measurement of fluorescence anisotropies.



# Fluorescence is good, but...

- Contains only the information about the excited states, whereas interesting things happen in ground state as well...

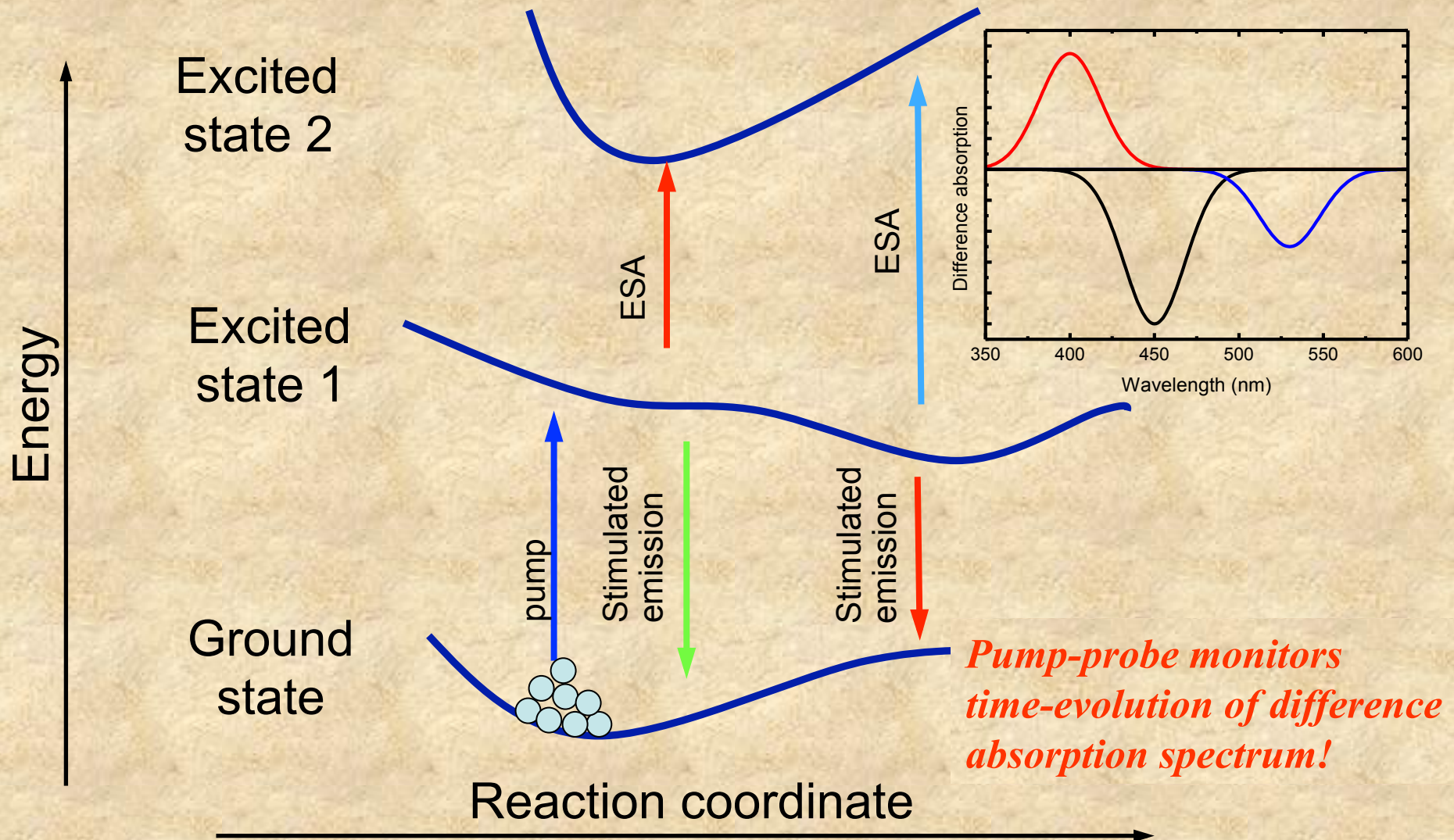
Therefore we switch to...

A photograph of a car driving on a wet, two-lane road. The road is dark and reflective, with yellow dashed lines in the center and white solid lines on the sides. The car is in the distance, moving towards the viewer. The background features a dense forest of tall evergreen trees under a clear blue sky. A vibrant rainbow is visible in the sky, arching over the road. The overall scene is serene and scenic.

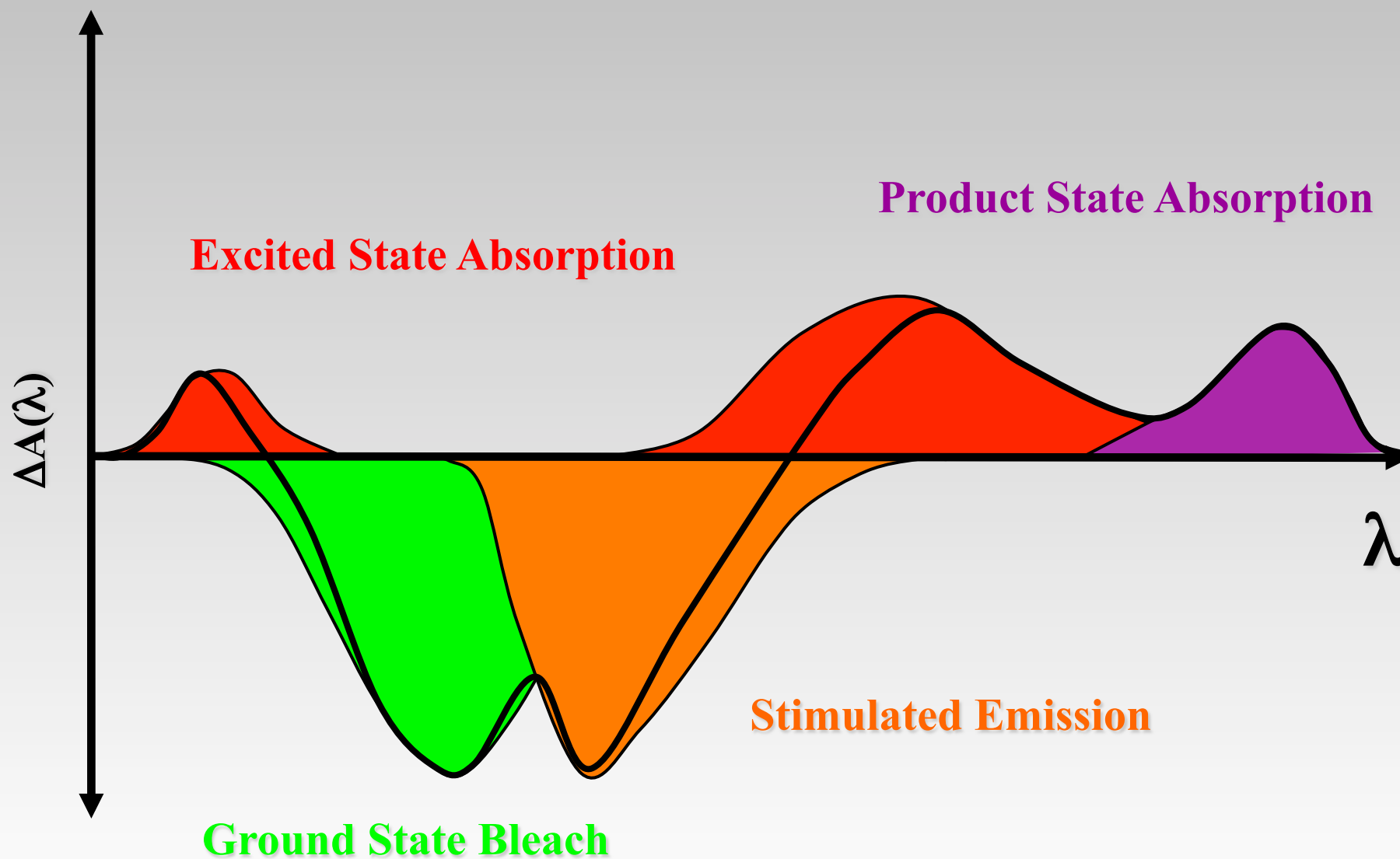
Time-resolved absorption  
spectroscopy a.k.a.

Pump-probe

# Pump-probe: a traditional technique of monitoring photodynamics



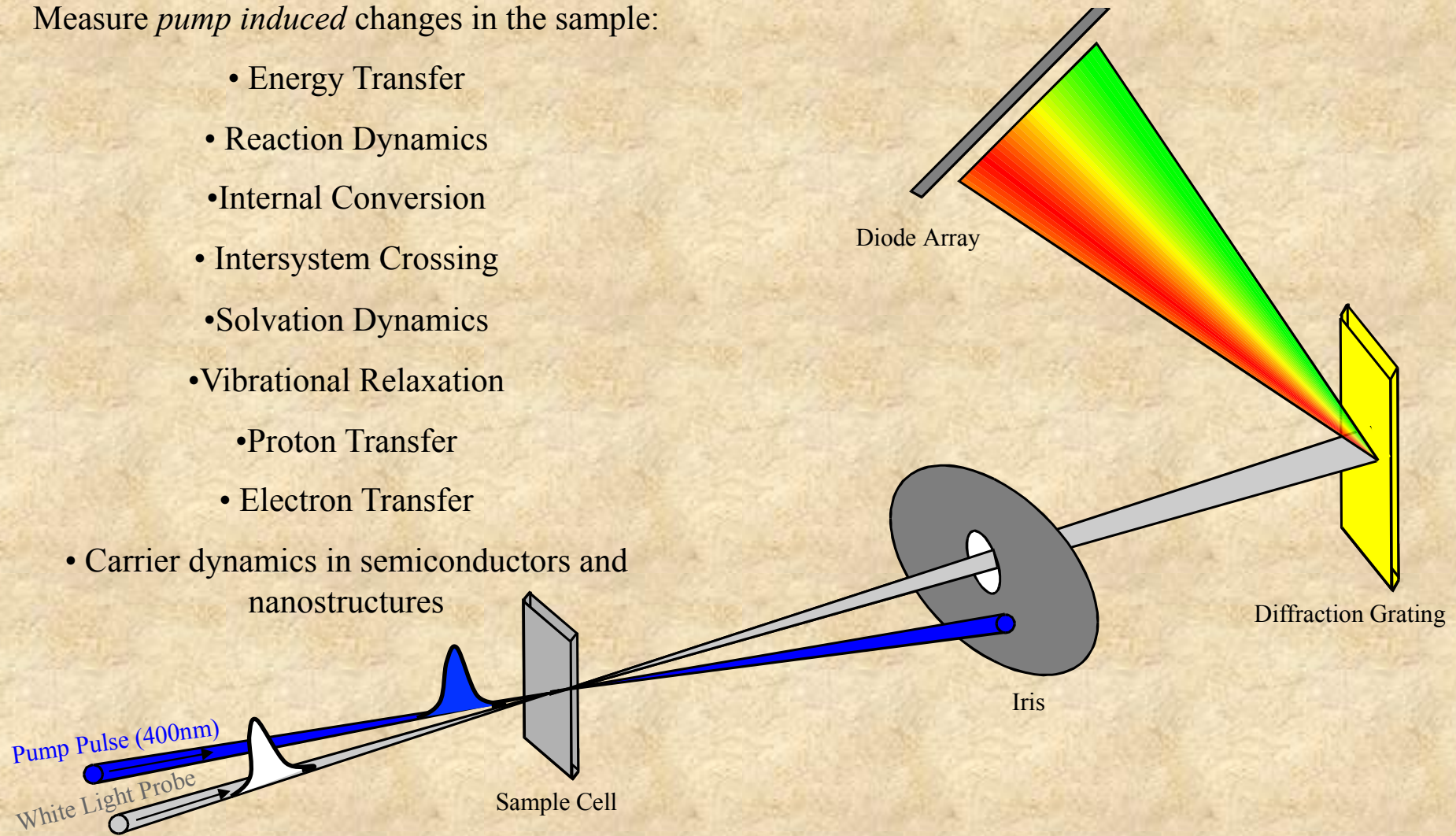
# *Decomposing Transient Absorption Spectra*

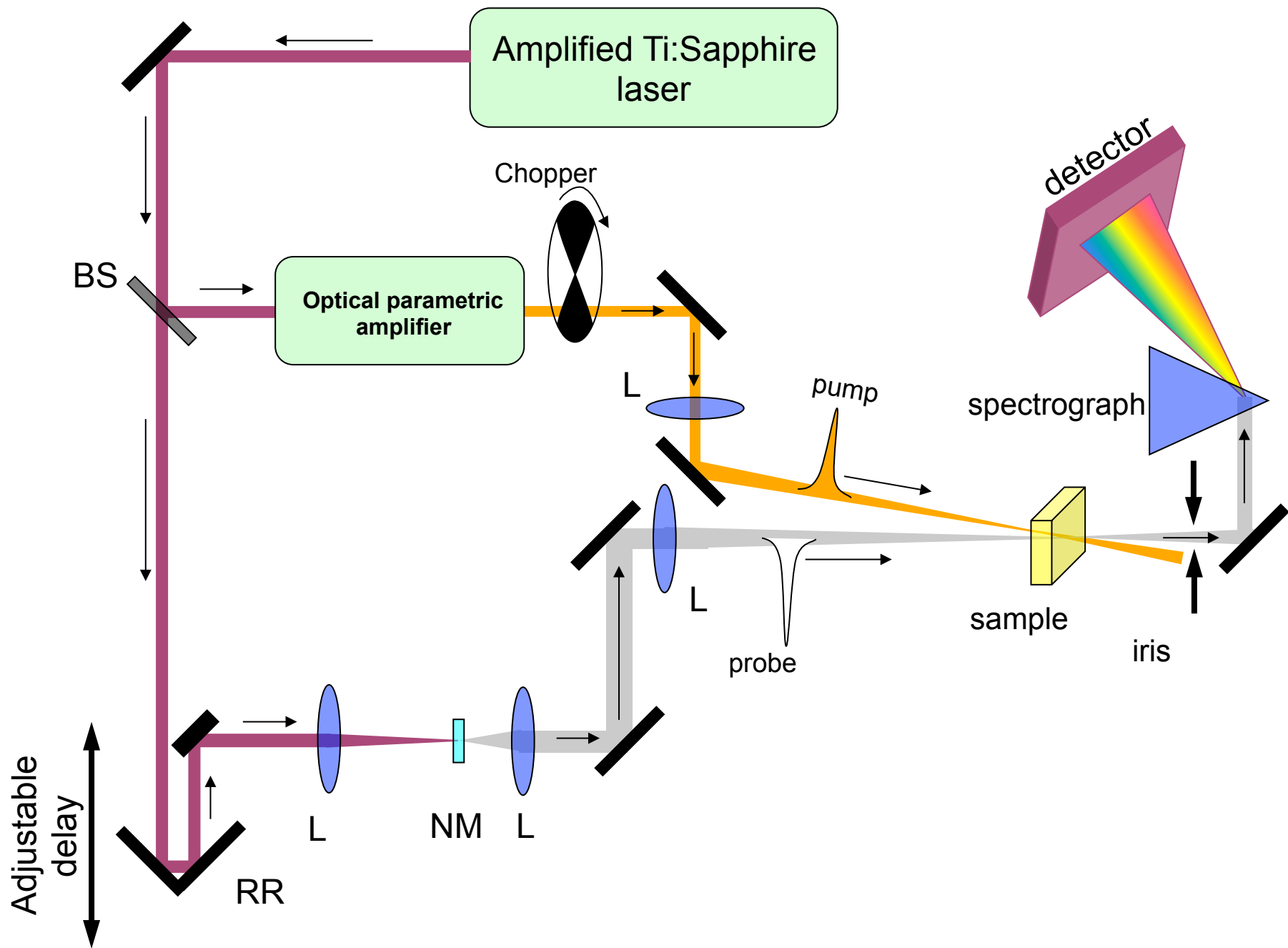


# Dispersed Pump-Probe Experimental Setup

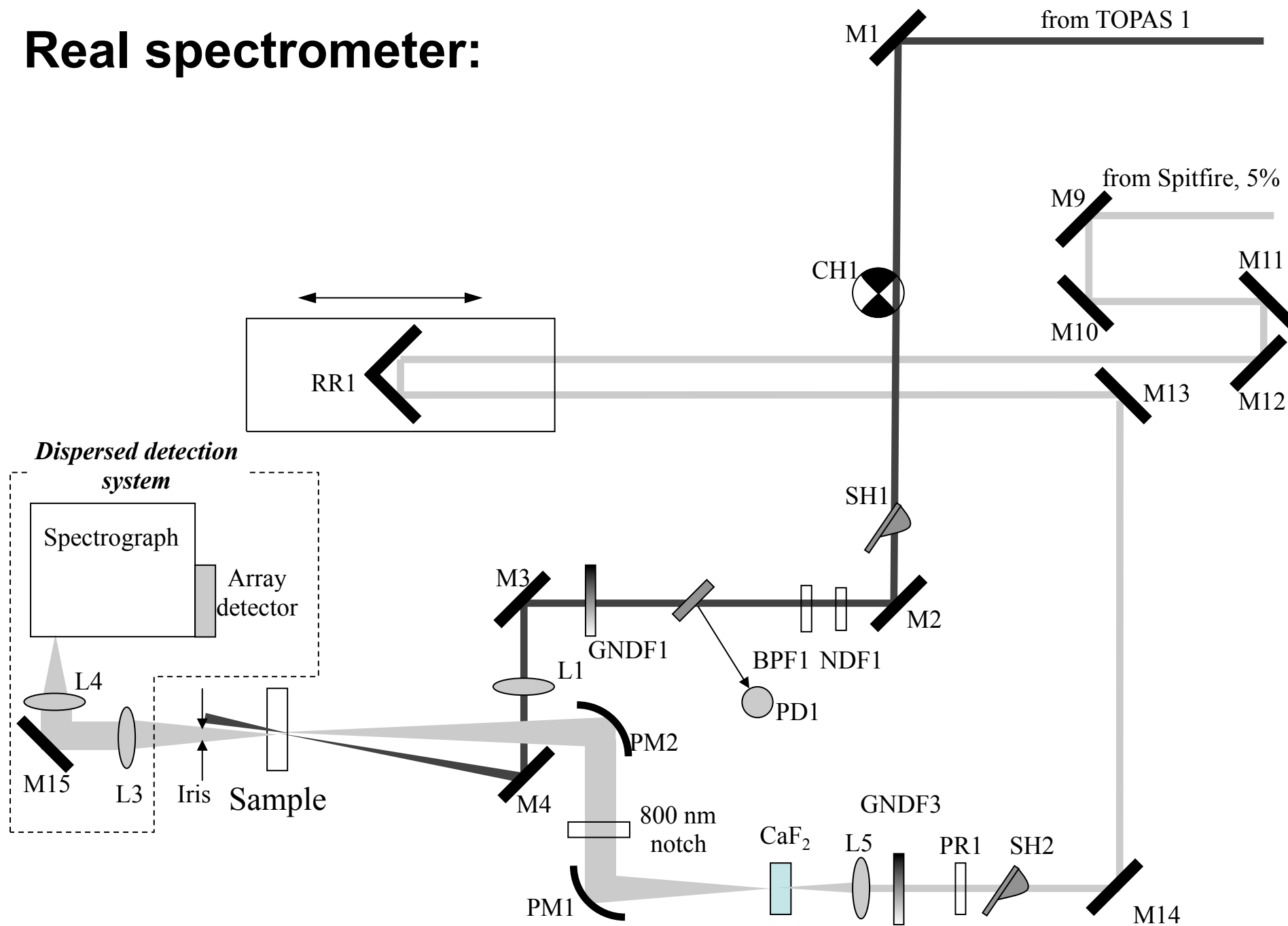
Measure *pump induced* changes in the sample:

- Energy Transfer
- Reaction Dynamics
- Internal Conversion
- Intersystem Crossing
- Solvation Dynamics
- Vibrational Relaxation
- Proton Transfer
- Electron Transfer
- Carrier dynamics in semiconductors and nanostructures





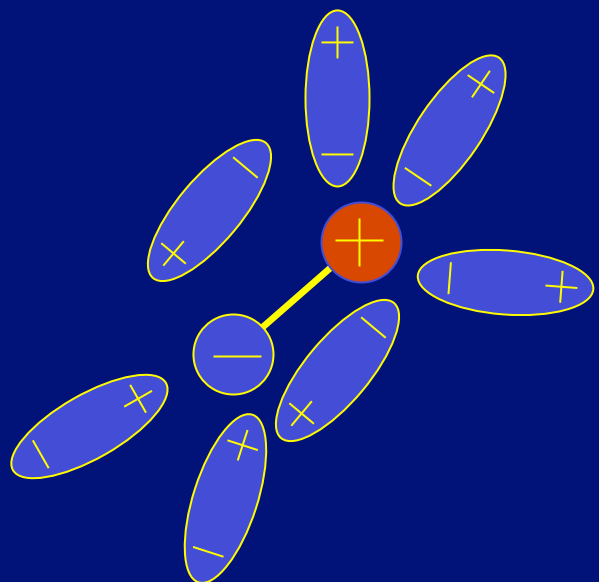
# Real spectrometer:



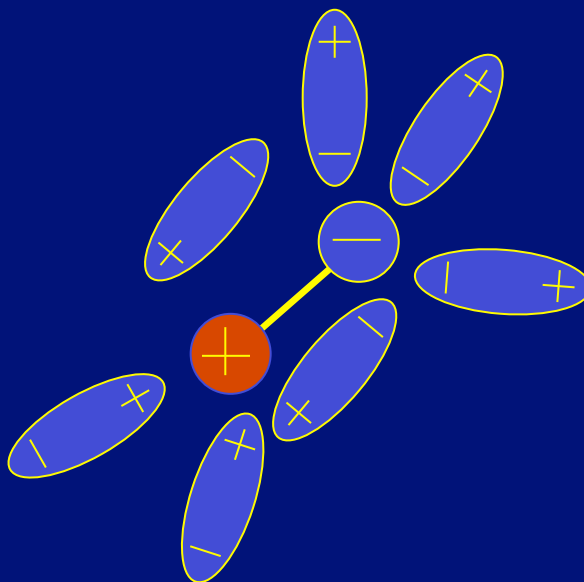


# Conceptual example: solvation

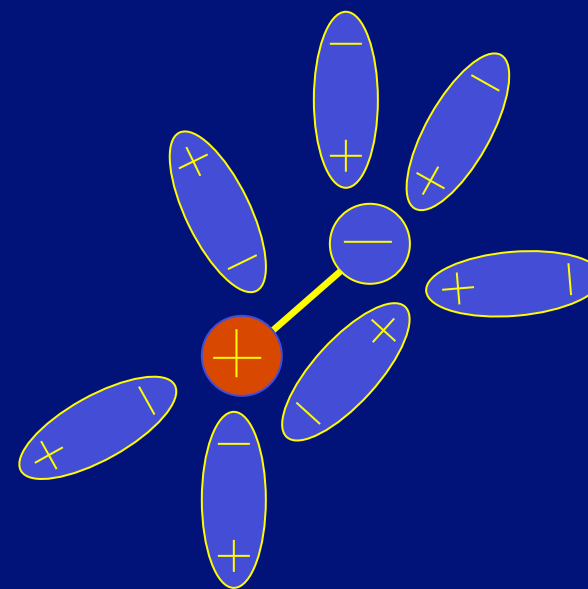
Ground state



Excited state at  $t=0$

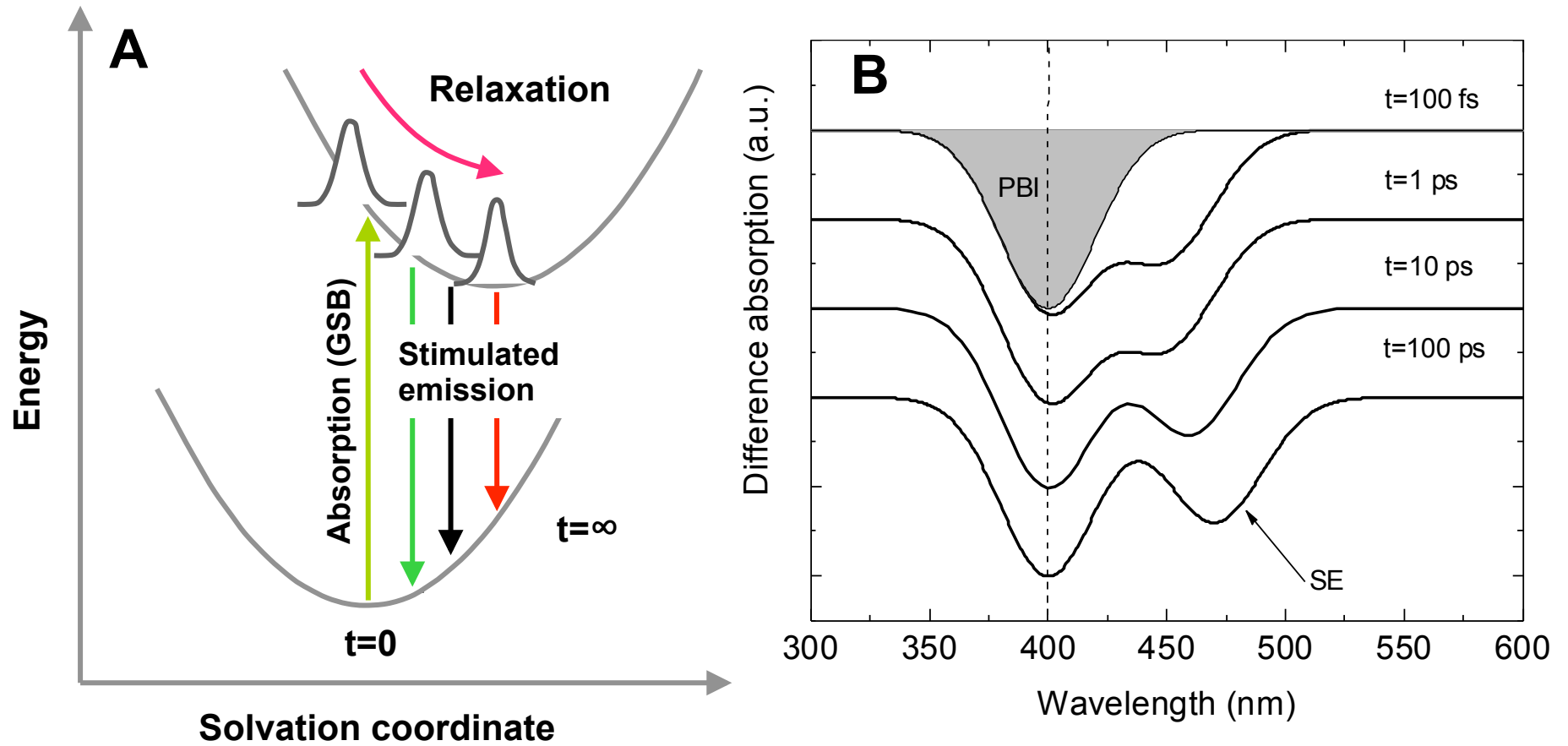


Excited state after  
some time

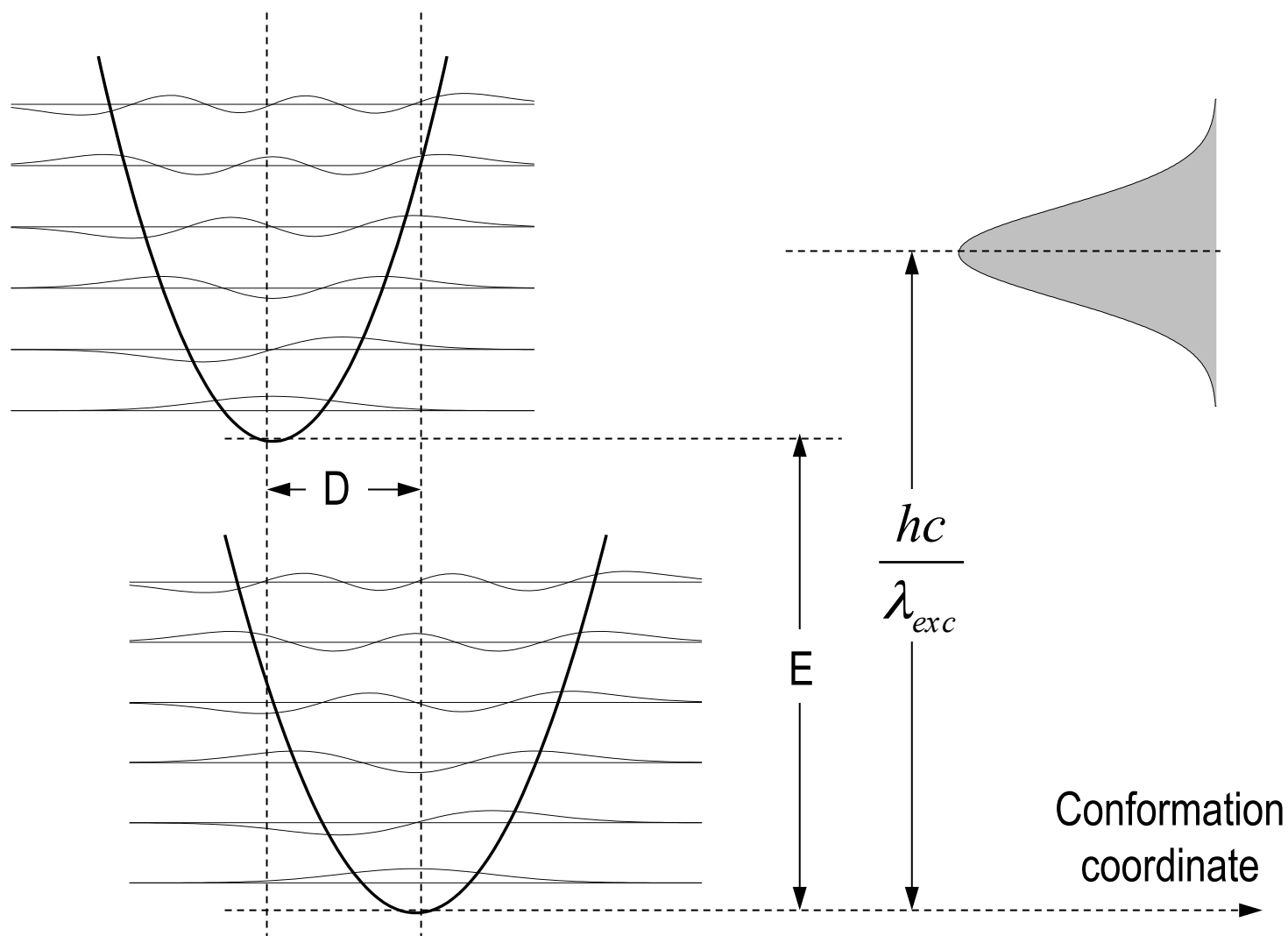


Adjustment of solvent molecules around the solute to minimize the overall system energy.

# Conceptual example: solvation



# Conceptual example 2: two electronic levels coupled to 1 vibrational mode



# Some basic quantum mechanics...

---

- The pulse excites several vibrational sub-states at once (forms so-called excited-state wavepacket):

$$\Psi_{exc}(x, t) = \sum_j a_j(t) \psi_j(x)$$

Where  $\psi_j(x)$  - oscillator eigenfunctions

$a_j(t)$  - time-dependent amplitudes

# Some basic quantum mechanics...

---

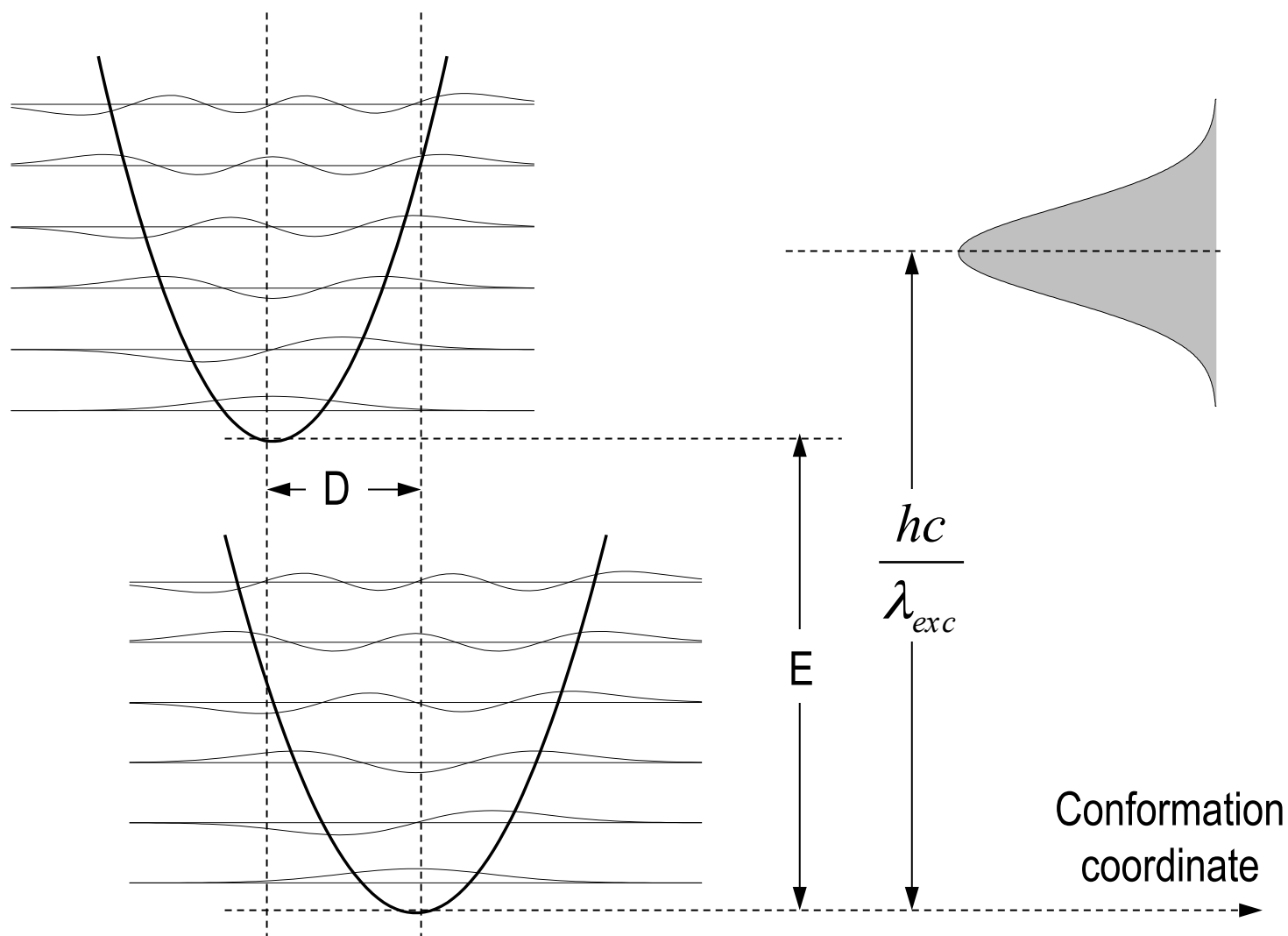
- After plugging this into time dependent Schrödinger equation

$$i\hbar \frac{\partial}{\partial t} \Psi = \hat{H} \Psi$$
$$\cdot \psi_k^*(x), \int \dots dx \left| \quad i\hbar \sum_j \psi_j(x) \frac{\partial}{\partial t} a_j(t) = \hat{H} \sum_j a_j(t) \psi_j(x) \right.$$

$$\frac{\partial}{\partial t} a_k(t) = i\omega_v \left( \frac{1}{2} + k \right) a_k(t)$$

$$a_k(t) = a_k(0) e^{-i\omega_v \left( k + \frac{1}{2} \right) t}$$

# Oversimplified model system: two electronic levels coupled to 1 vibrational mode



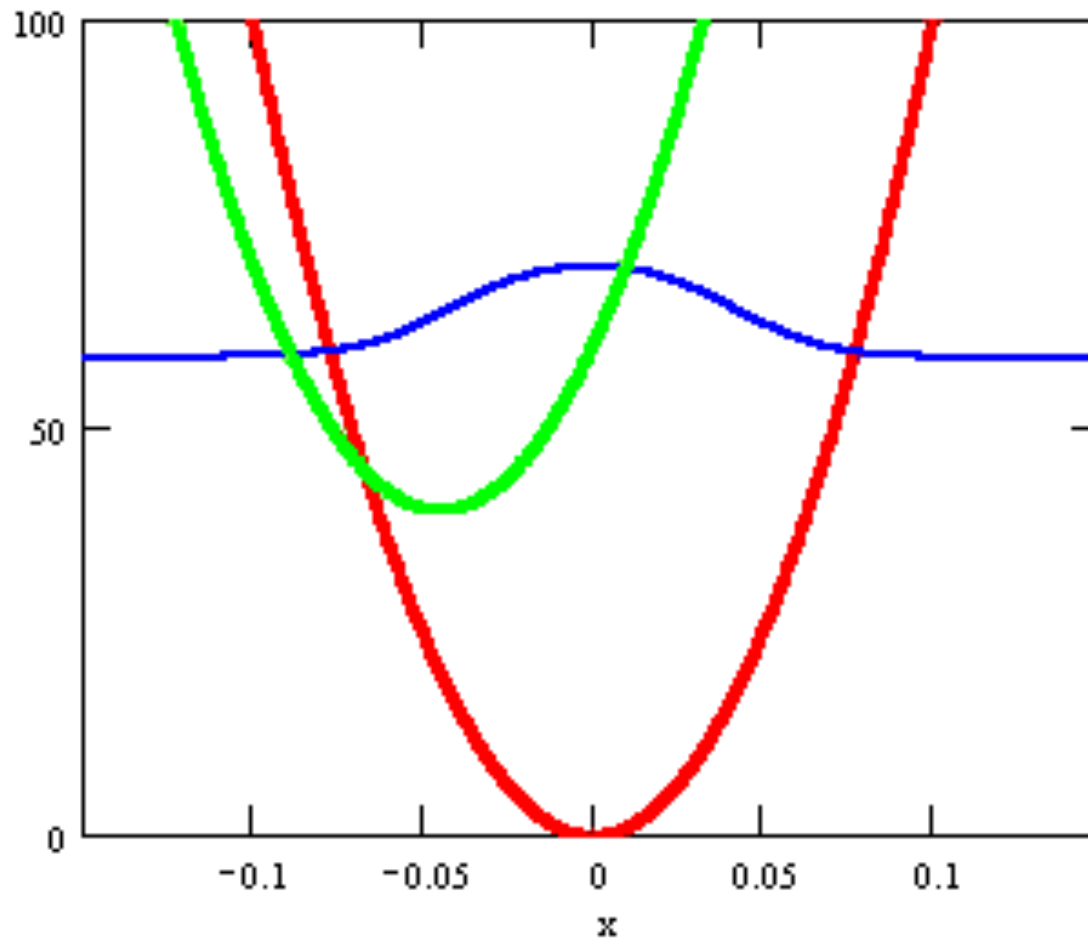
# Initial population of the vibrational substates in the excited electronic state



$a_k(0)$  depend on:

- Population of ground state vibronic sublevels (Boltzmann factor);
- Overlaps between ground- and excited-state vibrational wavefunctions (Frank-Condon factors);
- Width and central frequency of the excitation pulse;
- **All of this can be calculated for our model!**

# Example: red-edge excitation, 100 fs pulse, 77K

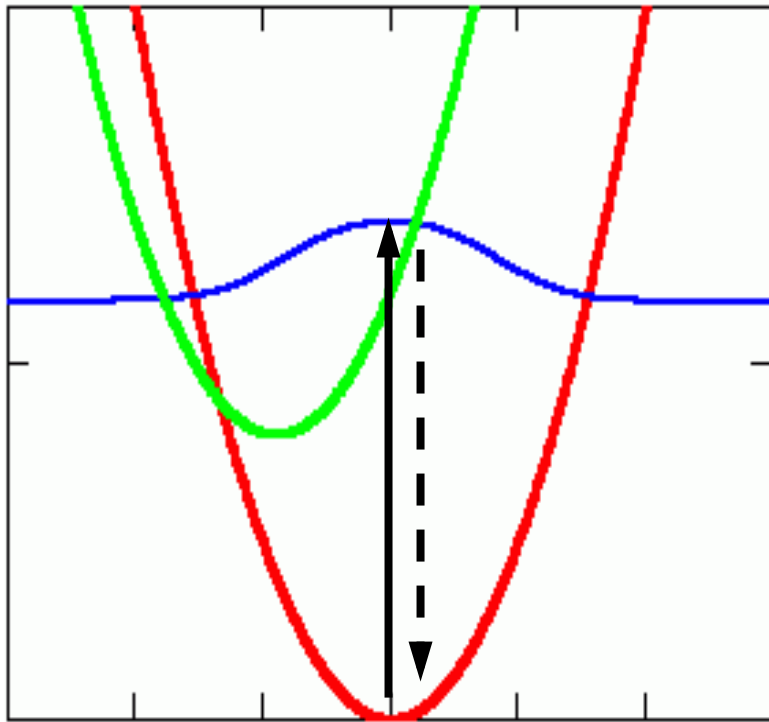




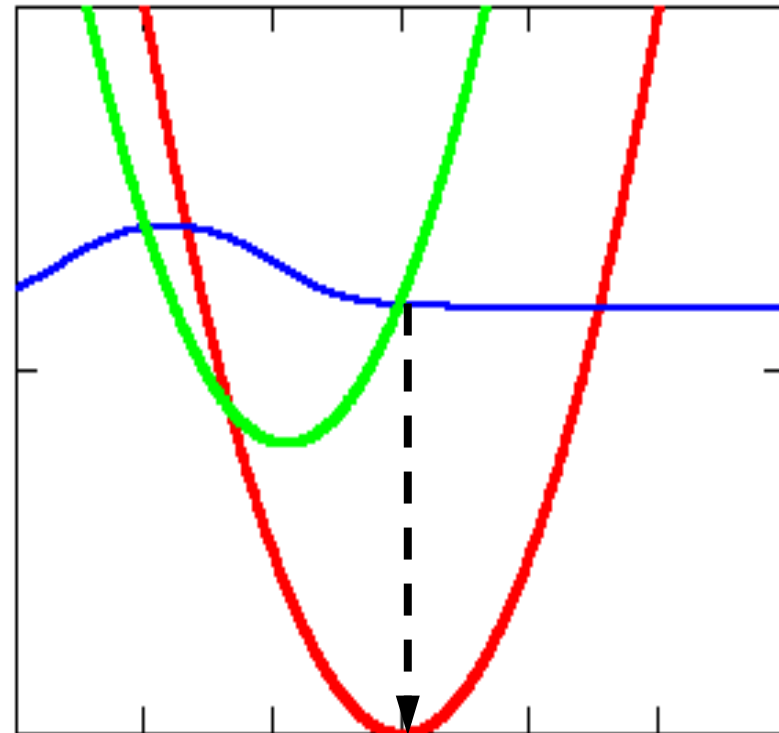
# The reason for oscillations in pump-probe



Probed at time zero:



Probed after half period:



# Generalization

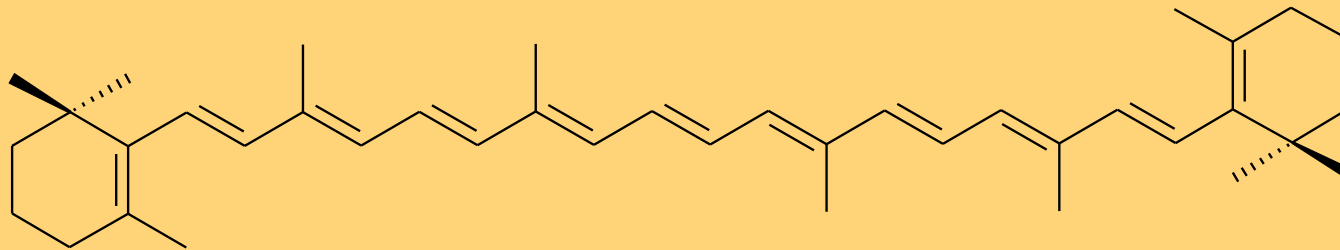
When electron-vibronic system is excited with an ultrashort pulse (its spectrum has to cover several vibrational levels), oscillations will be observed in pump-probe time dependence, corresponding to the wavepacket motion.

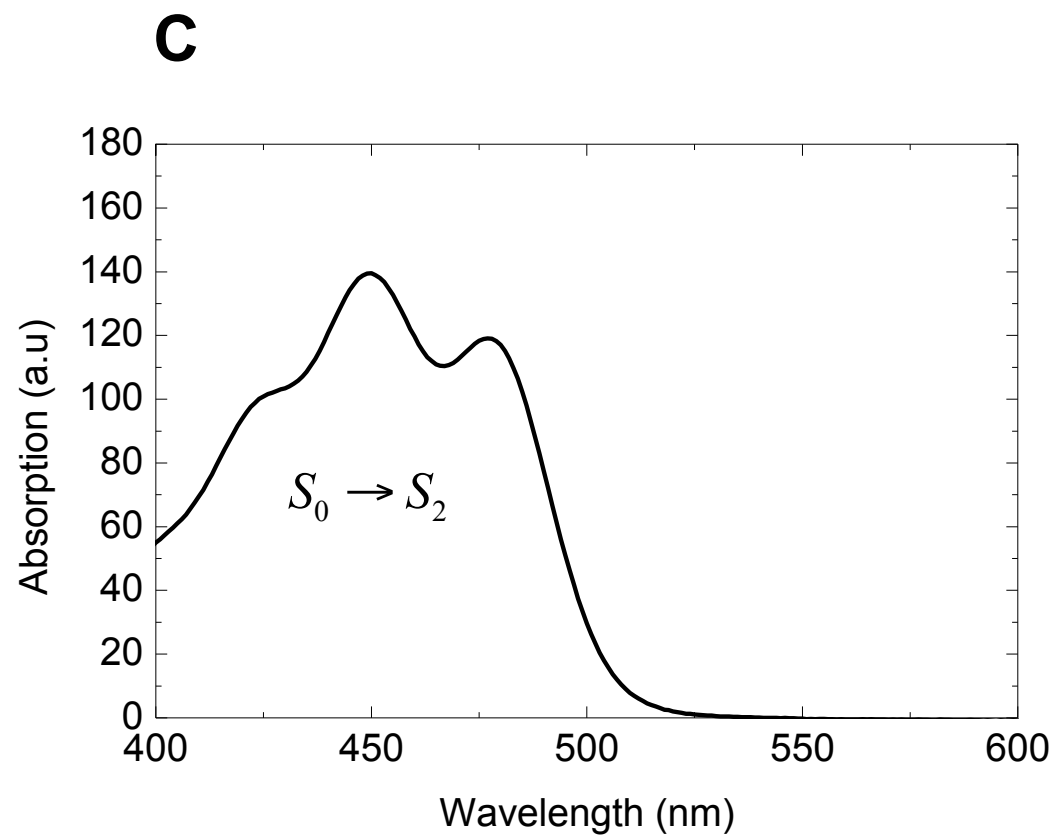
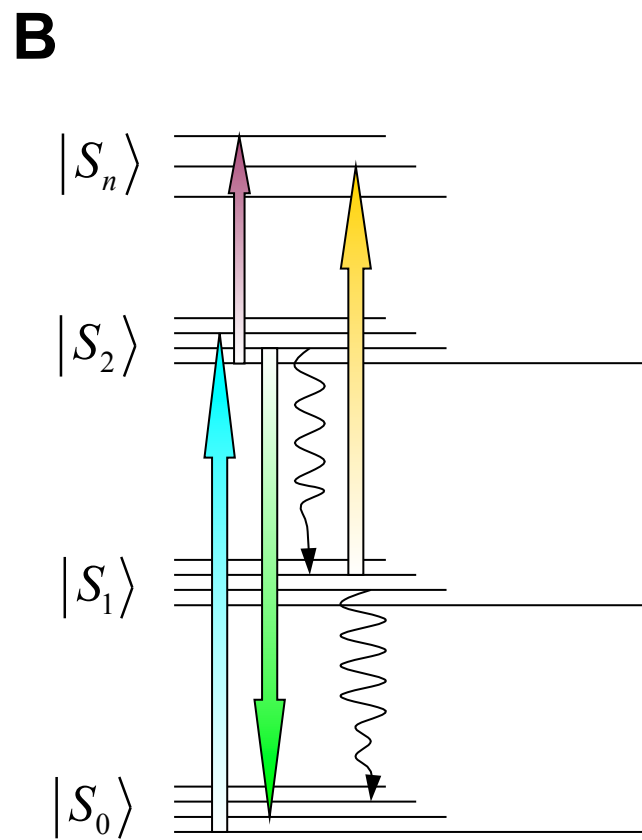
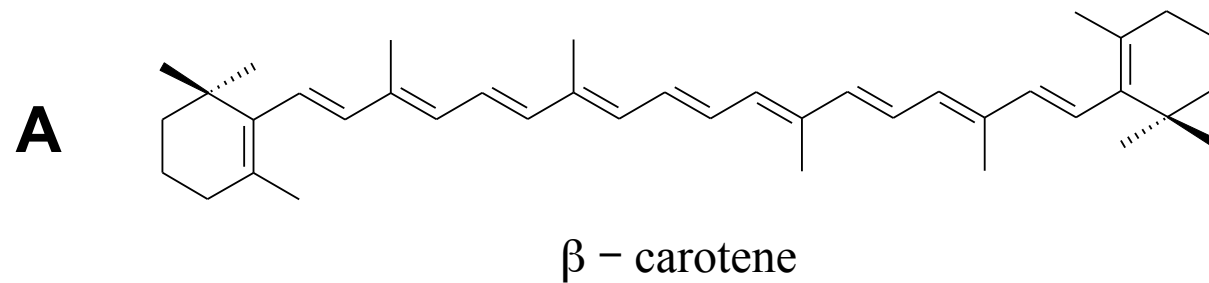
The lifetime of these vibrations is typically hundreds of femtoseconds, even several picoseconds (corresponds to the width of vibrational lines in Raman spectrum).

Let's keep it in the back of our heads for later...

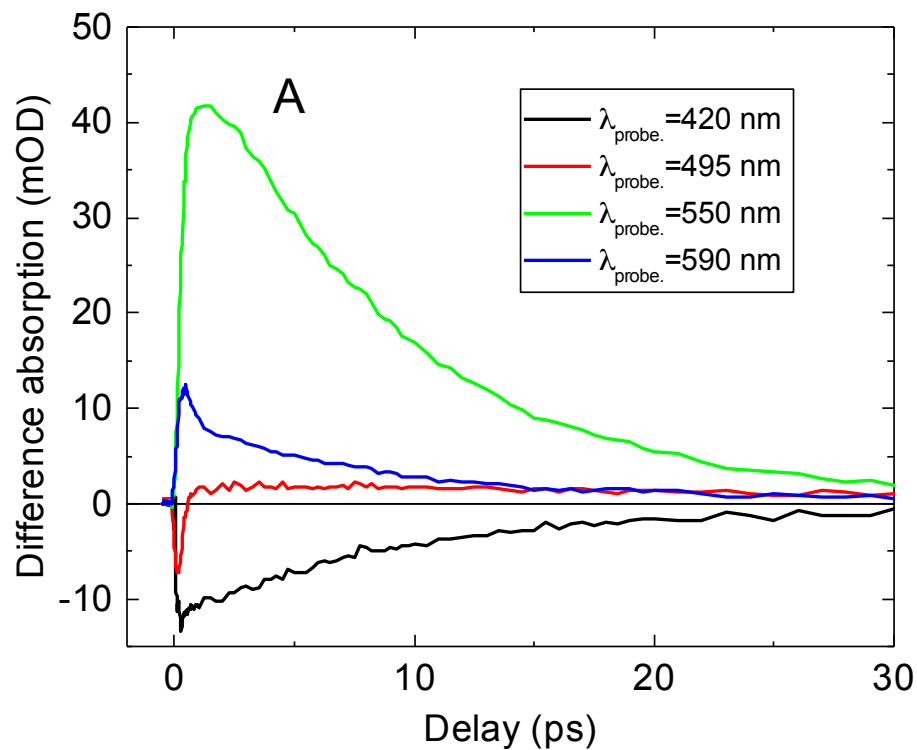


*$\beta$ -carotene: the “model” carotenoid*

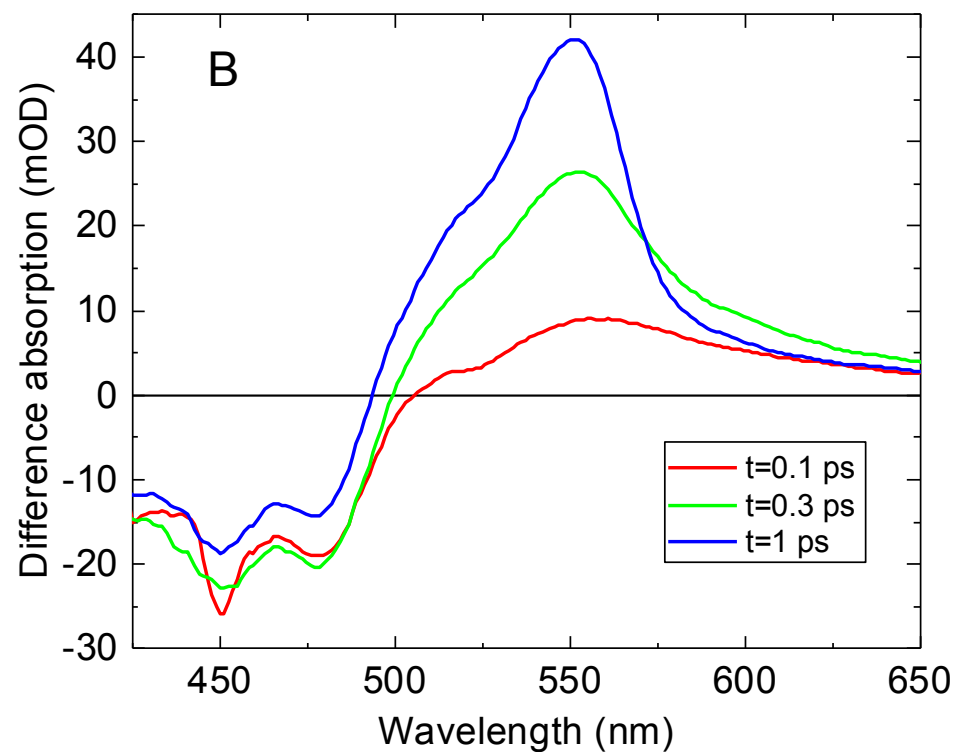




Time-resolved kinetics at selected wavelengths



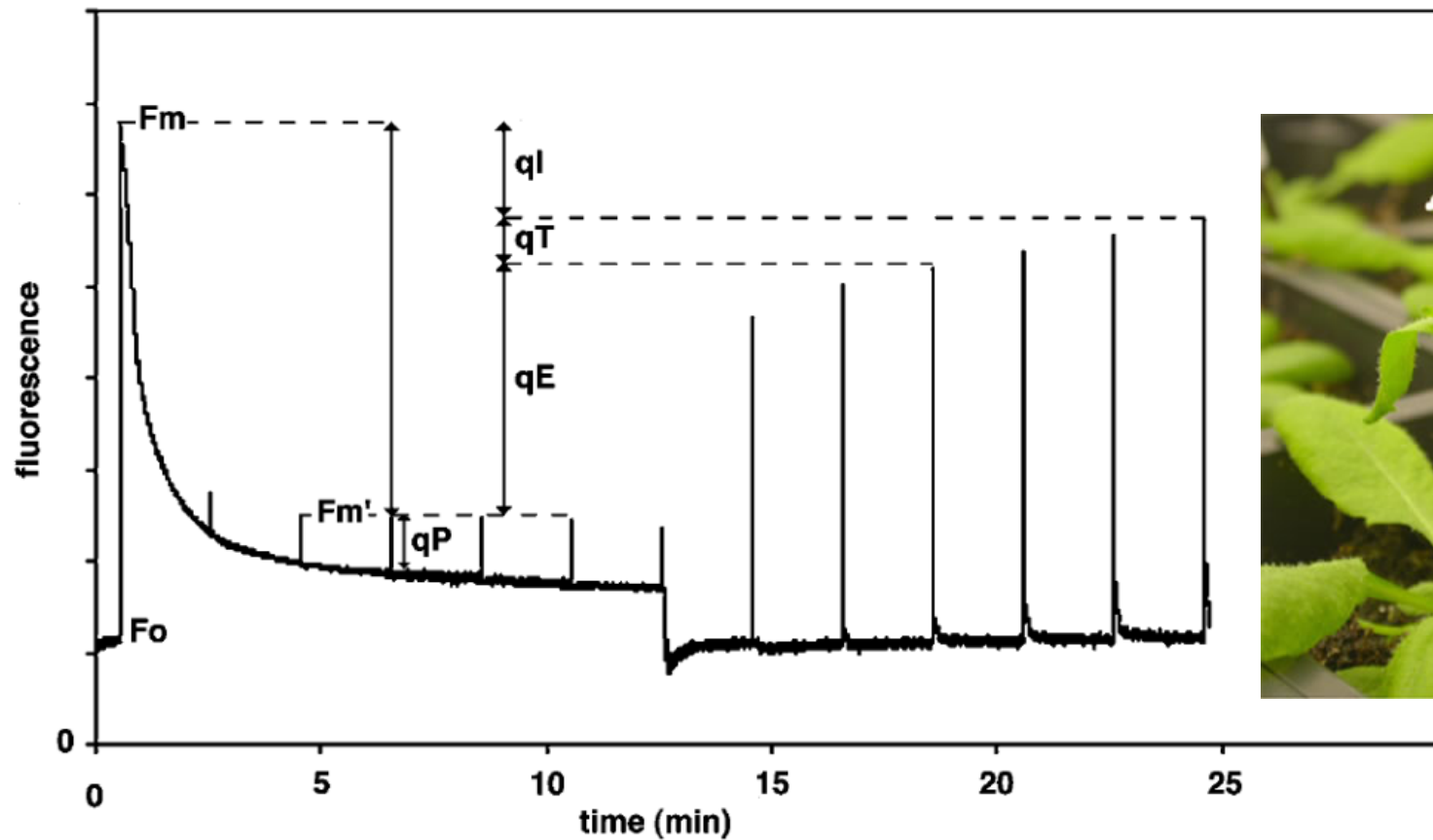
Time-resolved spectra at selected times



Dynamics of SE and ESA bands different from GSB, which implies that it is due to energy relaxation in higher excited states.

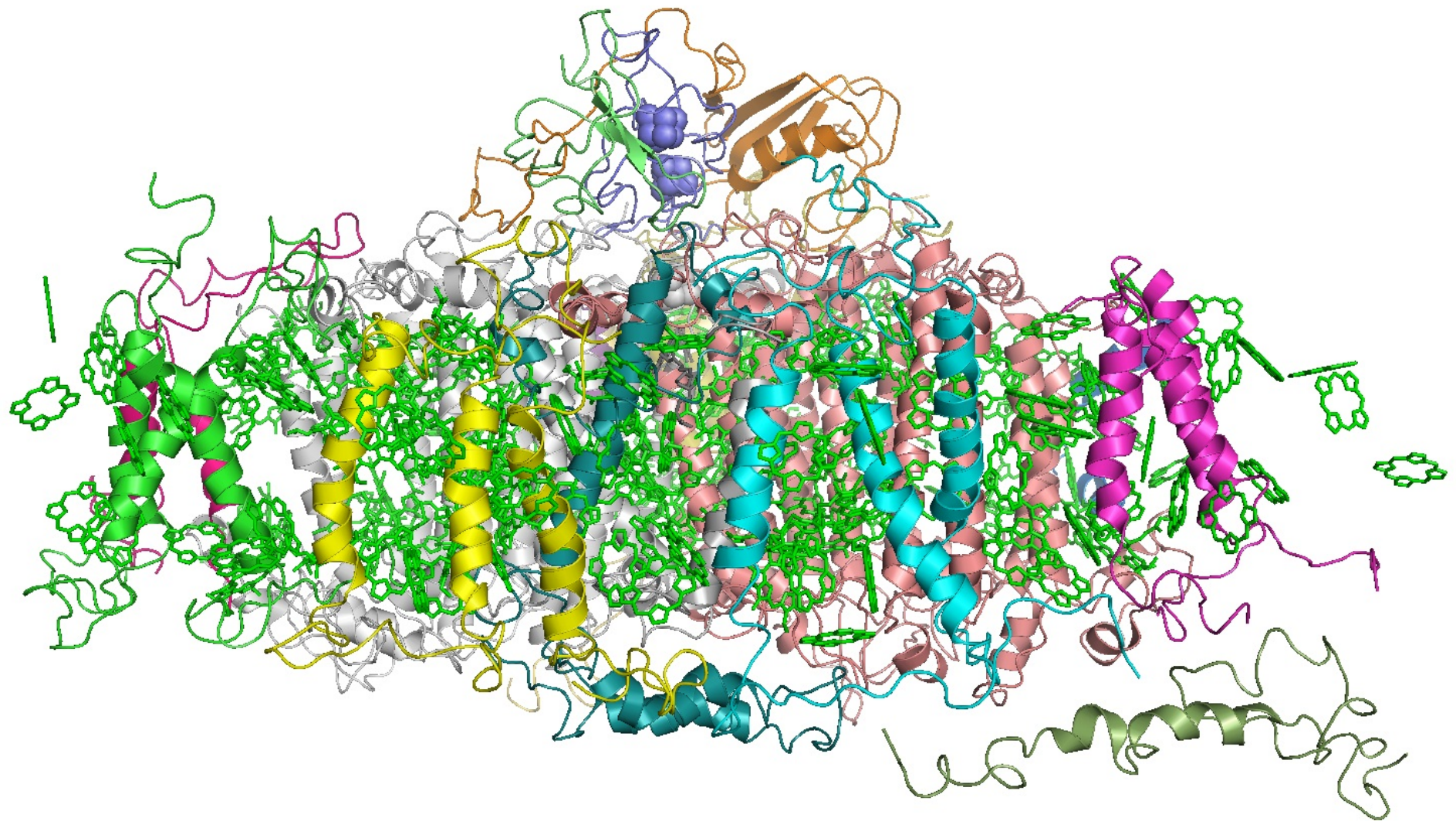
**Application:  
Role of carotenoids in excitation quenching**

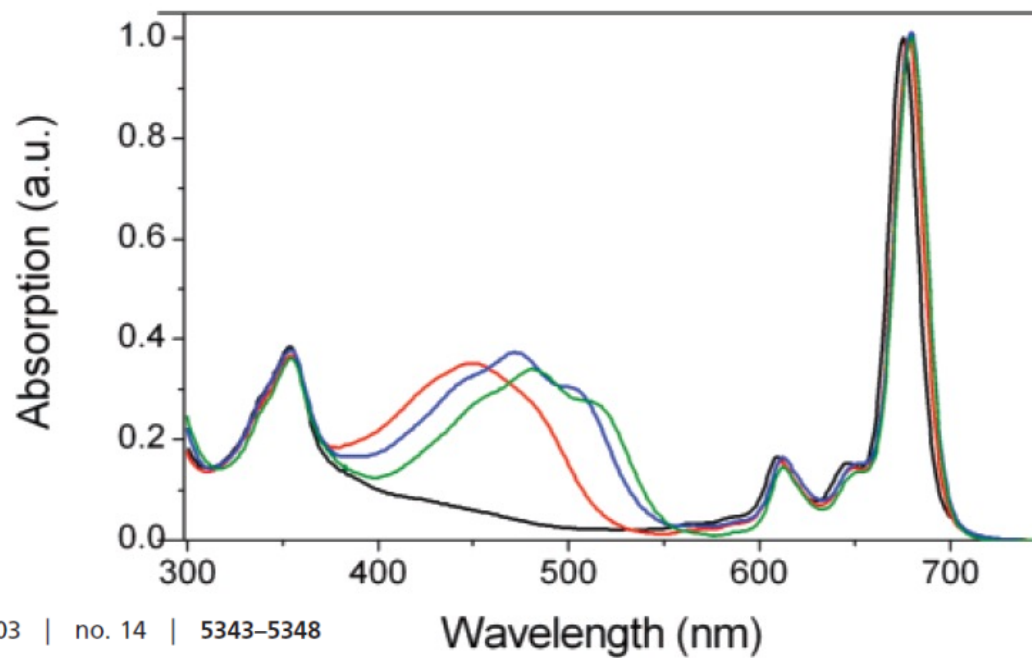
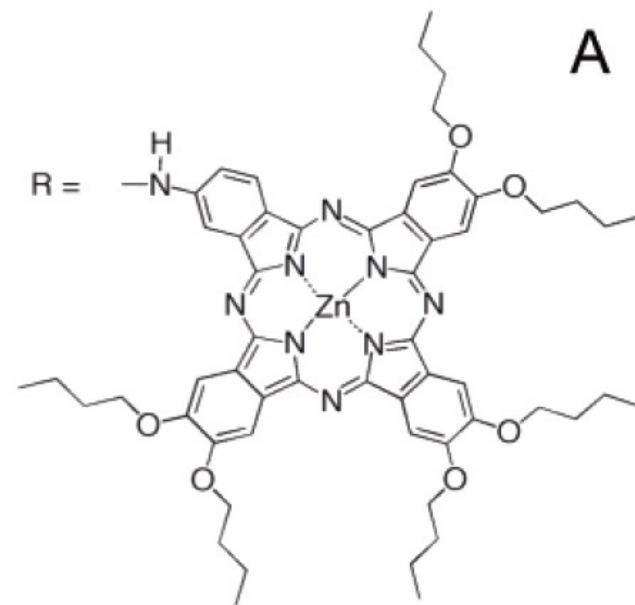
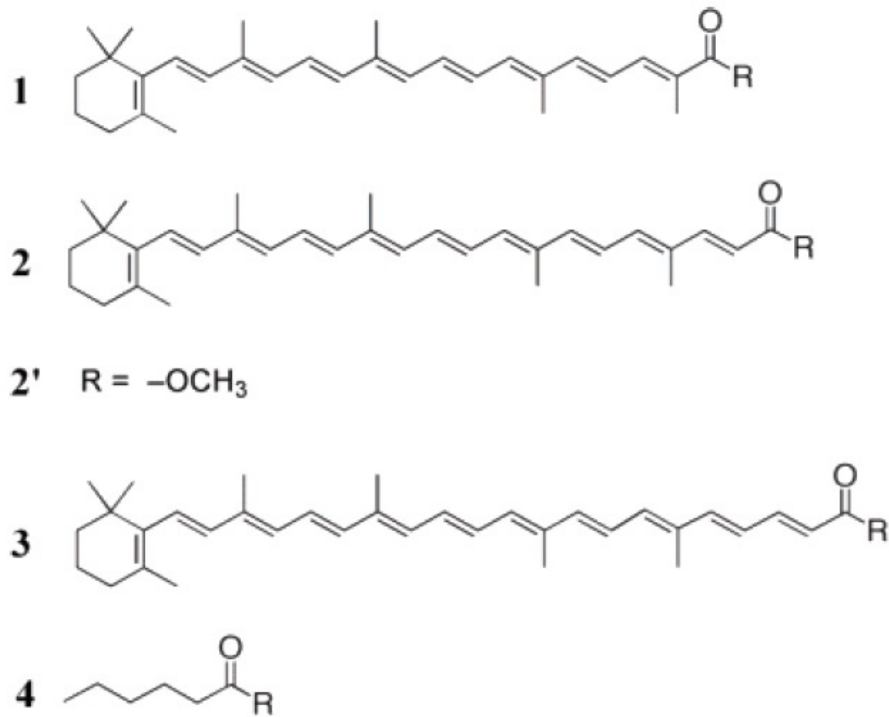
# Leaf response to prolonged illumination – reduction of fluorescence



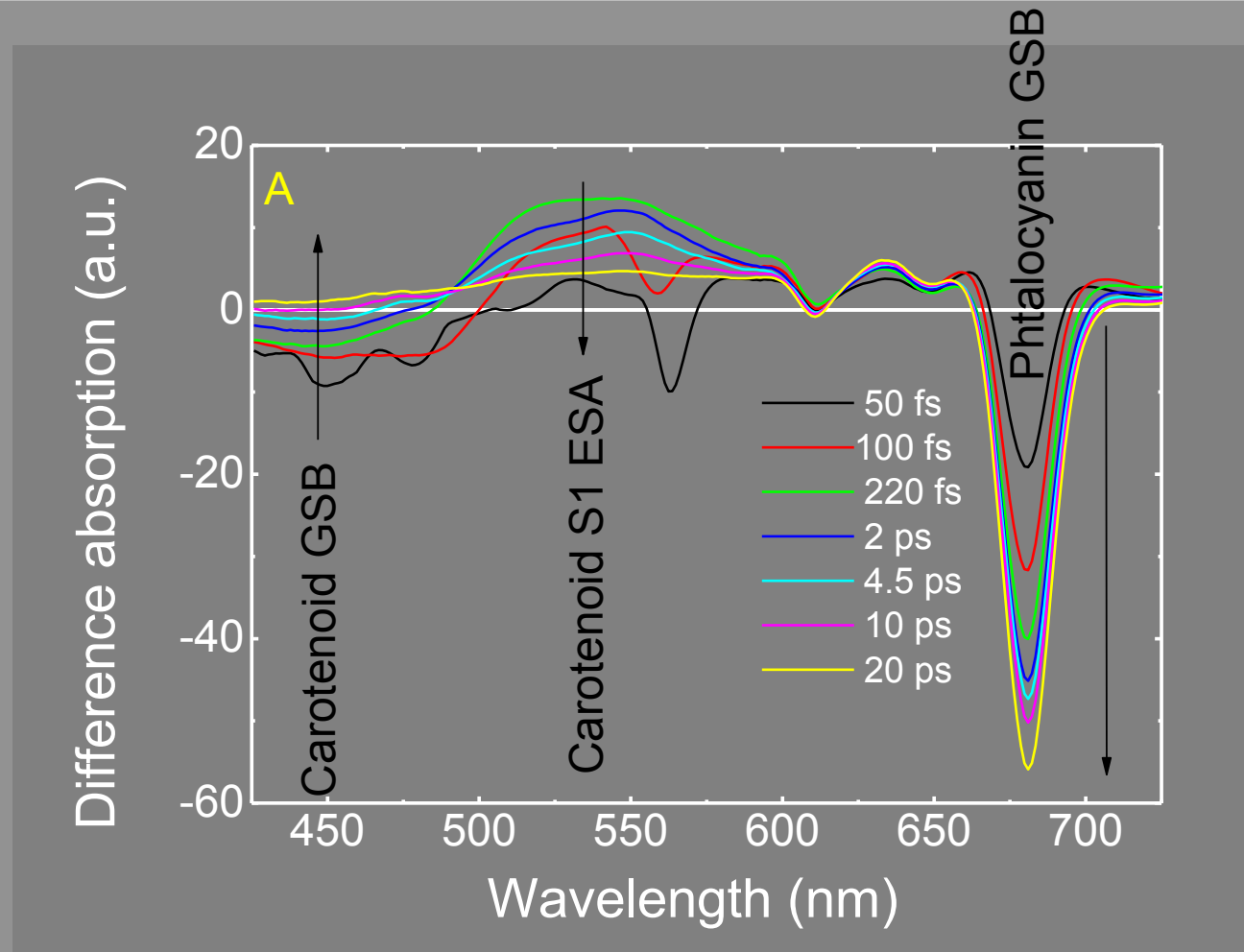
**Figure 2.** Chl fluorescence measurement from an Arabidopsis leaf. In the presence of only weak measuring light the minimal fluorescence ( $F_o$ ) is seen. When a saturating light pulse is given, the photosynthetic light reactions are saturated and fluorescence reaches a maximum level ( $F_m$ ). Upon continuous illumination with moderately excess light ( $750 \mu\text{mol photons m}^{-2} \text{sec}^{-1}$ ; growth light was  $130 \mu\text{mol photons m}^{-2} \text{sec}^{-1}$ ), a combination of  $qP$  and NPQ lowers the fluorescence yield. NPQ ( $qE + qT + qI$ ) can be seen as the difference between  $F_m$  and the measured maximal fluorescence after a saturating light pulse during illumination ( $F_m'$ ). After switching off the light, recovery of  $F_m'$  within a few minutes reflects relaxation of the  $qE$  component of NPQ.



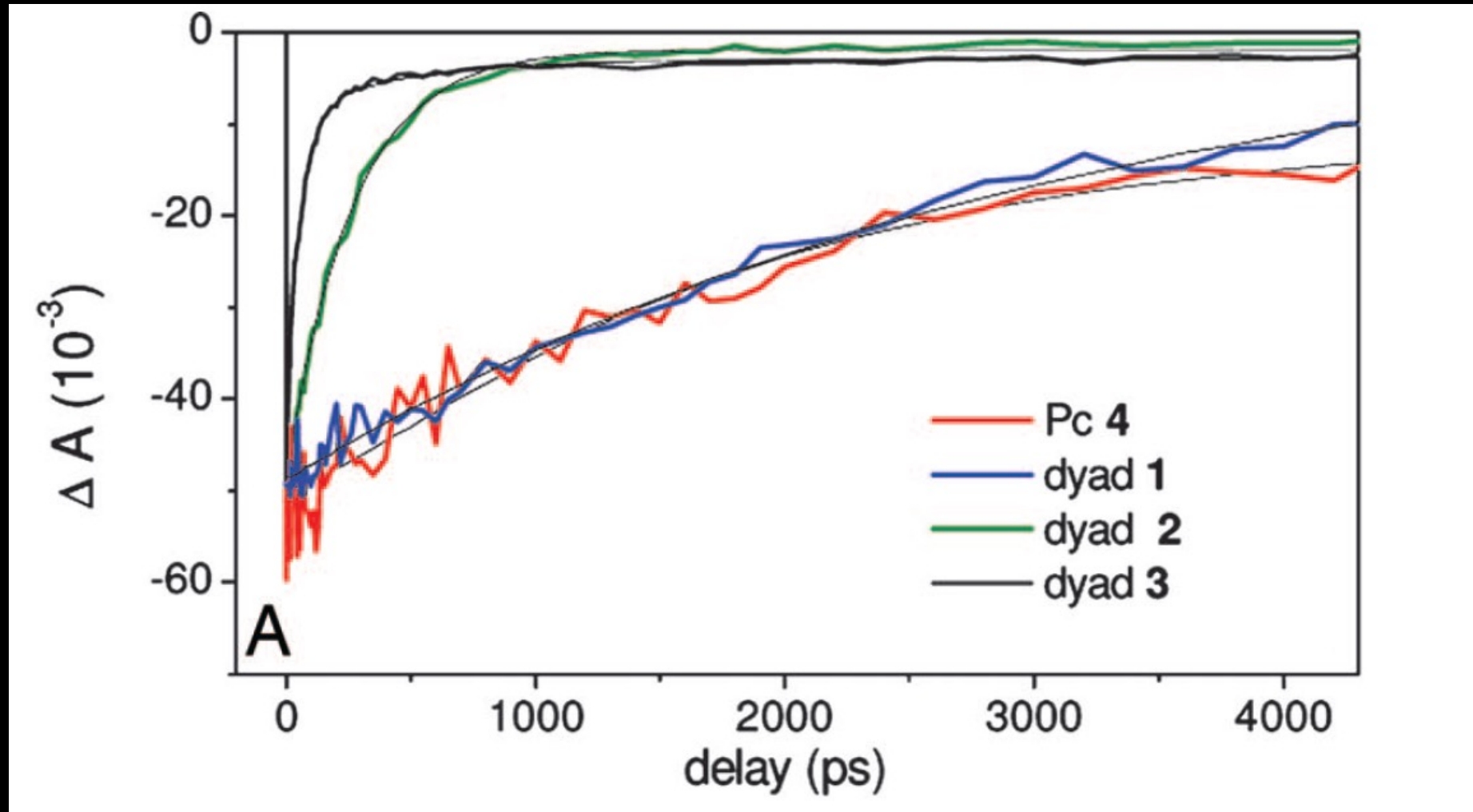




# *EET dynamics monitored by pump-probe spectroscopy*

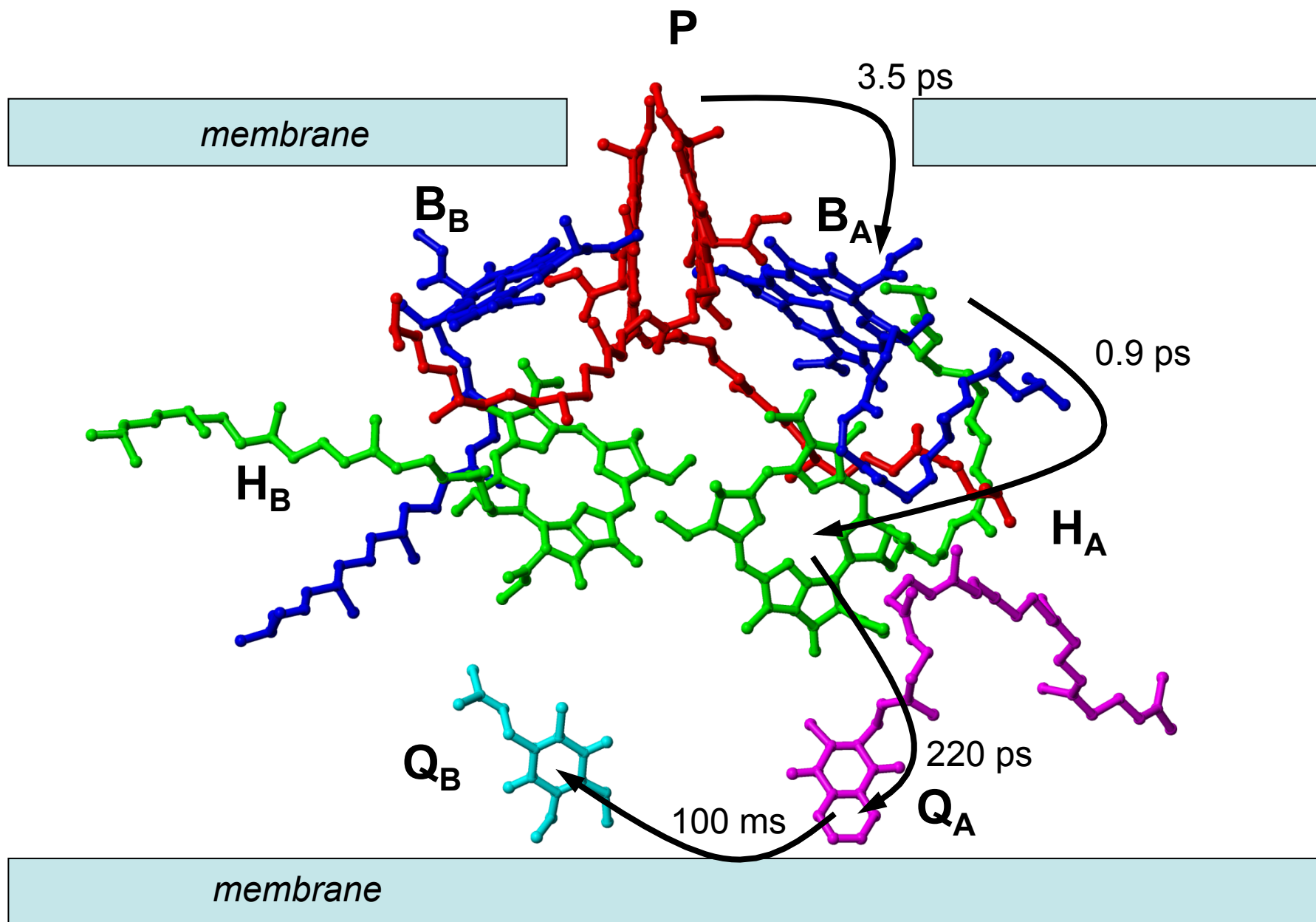


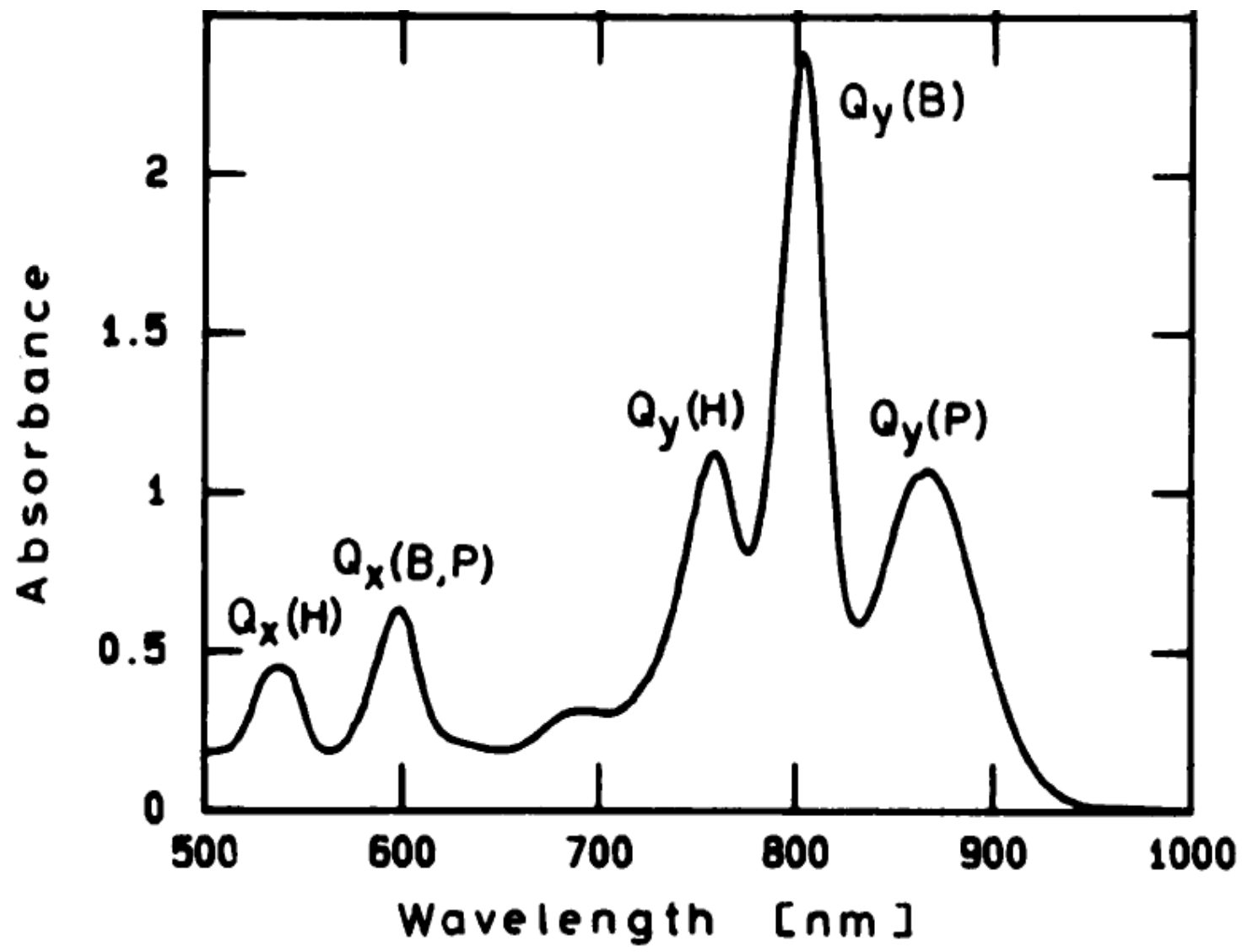
# Carotenoid can be both energy donor and acceptor

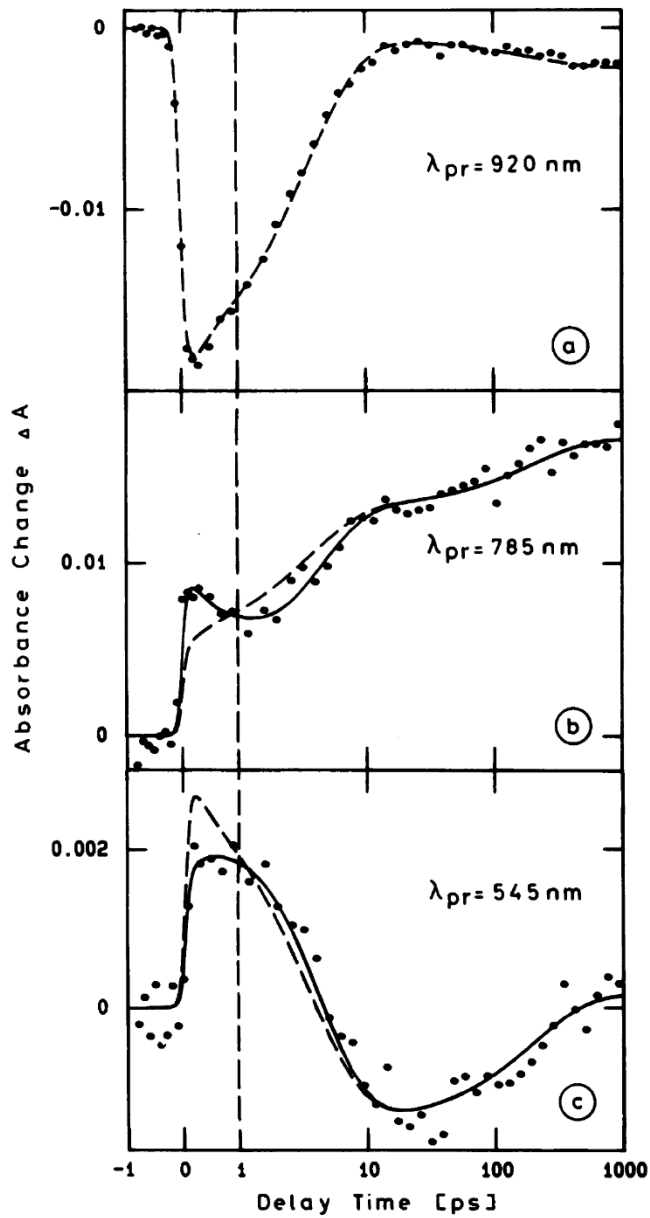


# Application: photosynthetic reaction centre









Stimulated emission of the special pair

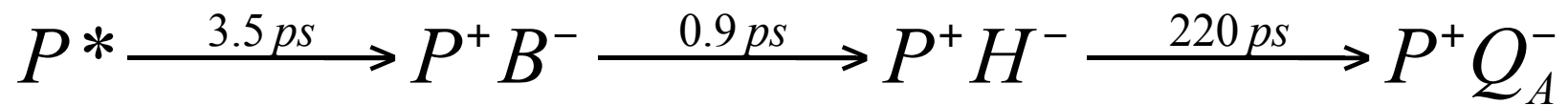
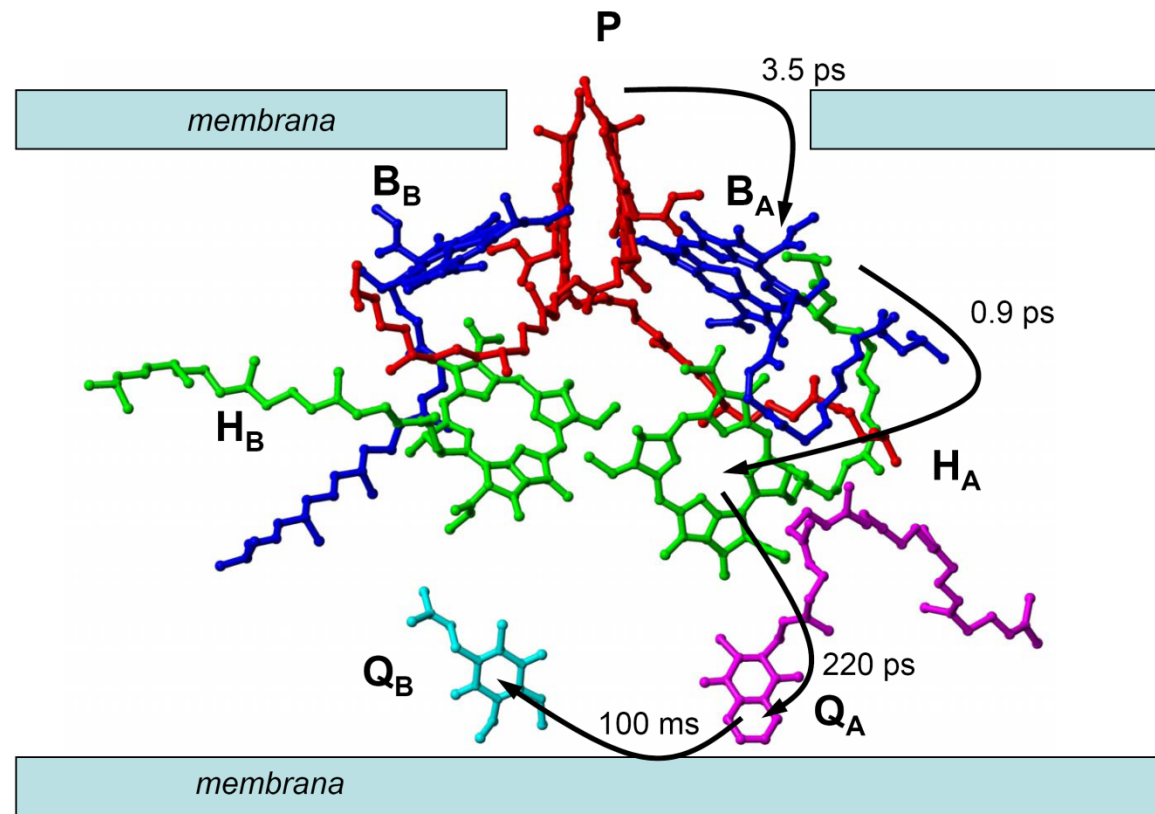
Induced absorption of special pair and accessory bacteriochlorophylls

Bleach of bacteriopheophytins

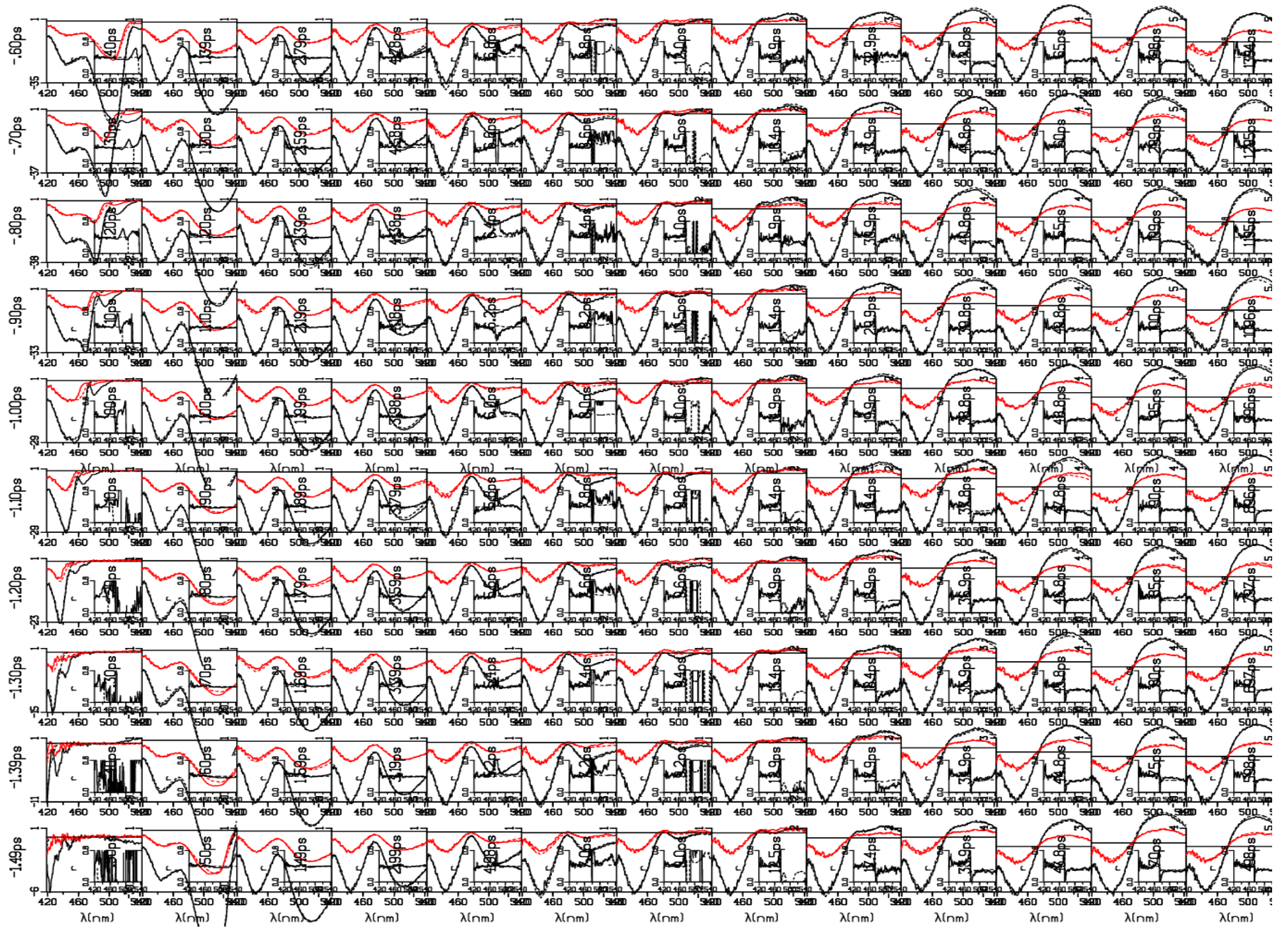
W. Holzappel, U. Finkle, W. Kaiser, D. Oesterhelt, H. Scheer, H.U. Stolz, and W. Zinth, *Proceedings of the National Academy of Sciences of the United States of America*, 1990, 87(13): p. 5168-5172.



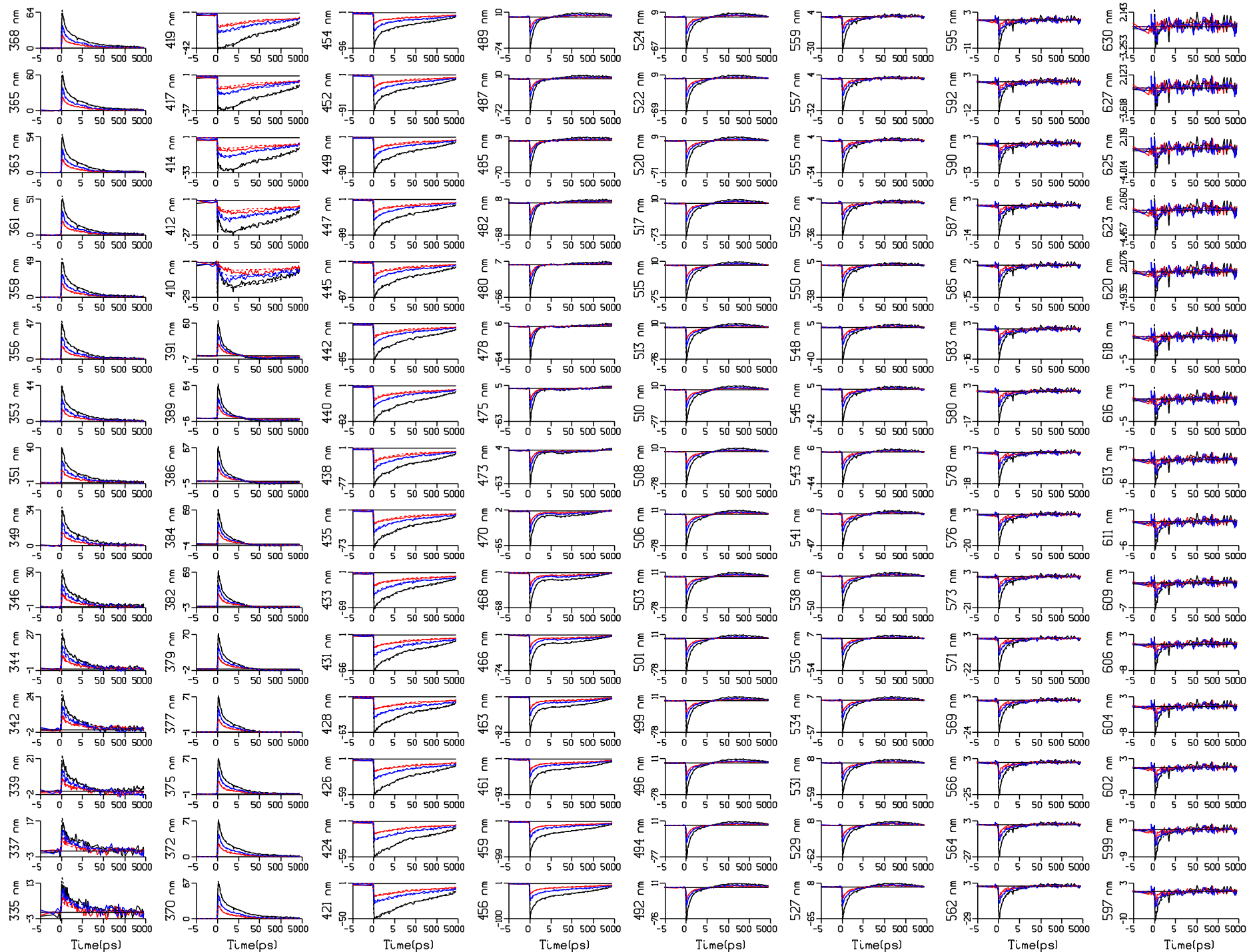
# W. Zinth et al. conclusion



***A word on data analysis***

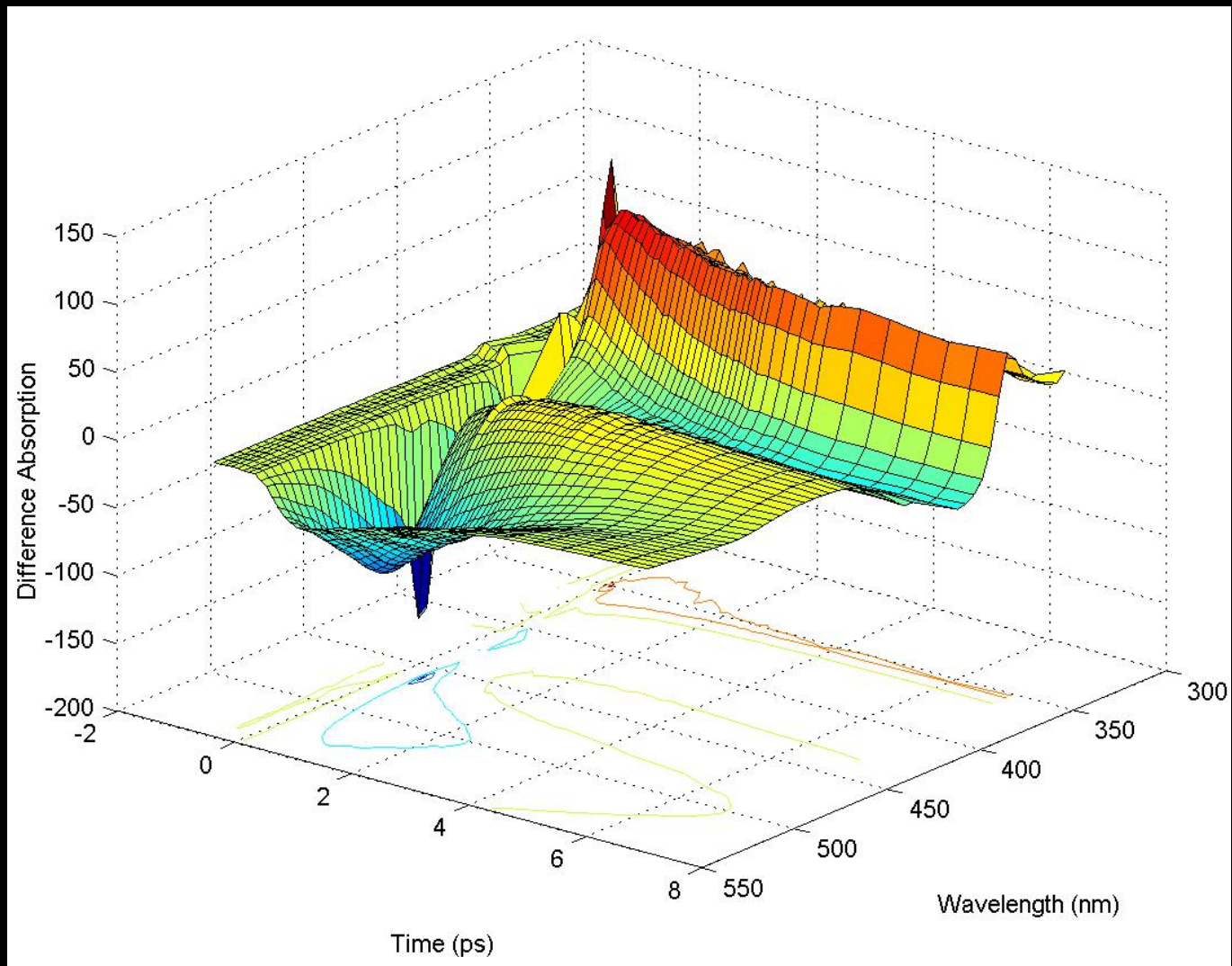


*Or...*



*Or*

# Pump-probe dataset



# Models are reflections of reality in our minds

Phenomenological  
Intuitive  
Simplistic  
Good description of data

Complicated  
First principles based  
Meaningful  
Unintuitive  
Far away from data





$$R_1(t_3, t_2, t_1) = \sum_{abcd} P(a) \mu_{ad} \mu_{dc} \mu_{cb} \mu_{ba} \exp\{i\bar{\omega}_{cb}t_3 + i\bar{\omega}_{ab}t_2 - i\bar{\omega}_{ba}t_1 + F_{abcd}^{(1)}(t_1, t_2, t_3)\}$$

$$R_2(t_3, t_2, t_1) = \sum_{abcd} P(a) \mu_{ad} \mu_{dc} \mu_{cb} \mu_{ba} \exp\{i\bar{\omega}_{cb}t_3 + i\bar{\omega}_{ab}t_2 + i\bar{\omega}_{da}t_1 + F_{abcd}^{(2)}(t_1, t_2, t_3)\}$$

$$R_3(t_3, t_2, t_1) = \sum_{abcd} P(a) \mu_{ad} \mu_{dc} \mu_{cb} \mu_{ba} \epsilon \times \mathbf{E}(\mathbf{r}, t - t_3) \mathbf{E}(\mathbf{r}, t - t_3 - t_2) \times \mathbf{E}(\mathbf{r}, t - t_3 - t_2 - t_1) \quad (4)$$

$$R_4(t_3, t_2, t_1) = \sum_{abcd} P(a) \mu_{ad} \mu_{dc} \mu_{cb} \mu_{ba} \epsilon$$

$$\tilde{R}_1^{++}(\Omega_1, t_2, \Omega_3) \equiv \int_{-\infty}^{\infty} dt_1 \int_{-\infty}^{\infty} dt_3 R_1(t_3, t_2, t_1) e^{i\Omega_1 t_1 + i\Omega_3 t_3}$$

$$= \sum_{abcd} P(a) \mu_{ad} \mu_{dc} \mu_{cb} \mu_{ba} \int_{-\infty}^{\infty} dt_3 \int_{-\infty}^{\infty} dt_1 \exp\{i(\bar{\omega}_{cb} + \Omega_3)t_3 + i\bar{\omega}_{ab}t_2 - i(\bar{\omega}_{ba} - \Omega_1)t_1\}$$

$$\times \exp\left(f_1(t_2) - \frac{1}{2}\delta_1^2(t_2)t_2^2 - \frac{1}{2}\Delta_1^2(t_2)t_2^2\right)$$

$$= \sum_{abcd} P(a) \mu_{ad} \mu_{dc} \mu_{cb} \mu_{ba} \times G\left\{\Omega_3 + \bar{\omega}_{cb}\right\} \left( \begin{array}{c} \left( \begin{array}{c} \text{Hole} \\ \text{Exciton} \end{array} \right) + \left( \begin{array}{c} \text{Hole} \\ \text{Exciton} \end{array} \right) \end{array} \right) P_D(T) + \left( \begin{array}{c} \left( \begin{array}{c} \text{Hole} \\ \text{Exciton} \end{array} \right) \otimes \left( \begin{array}{c} \text{Hole} \\ \text{Exciton} \end{array} \right) + \left( \begin{array}{c} \text{Hole} \\ \text{Exciton} \end{array} \right) \otimes \left( \begin{array}{c} \text{Hole} \\ \text{Exciton} \end{array} \right) \end{array} \right) P_A(T)$$

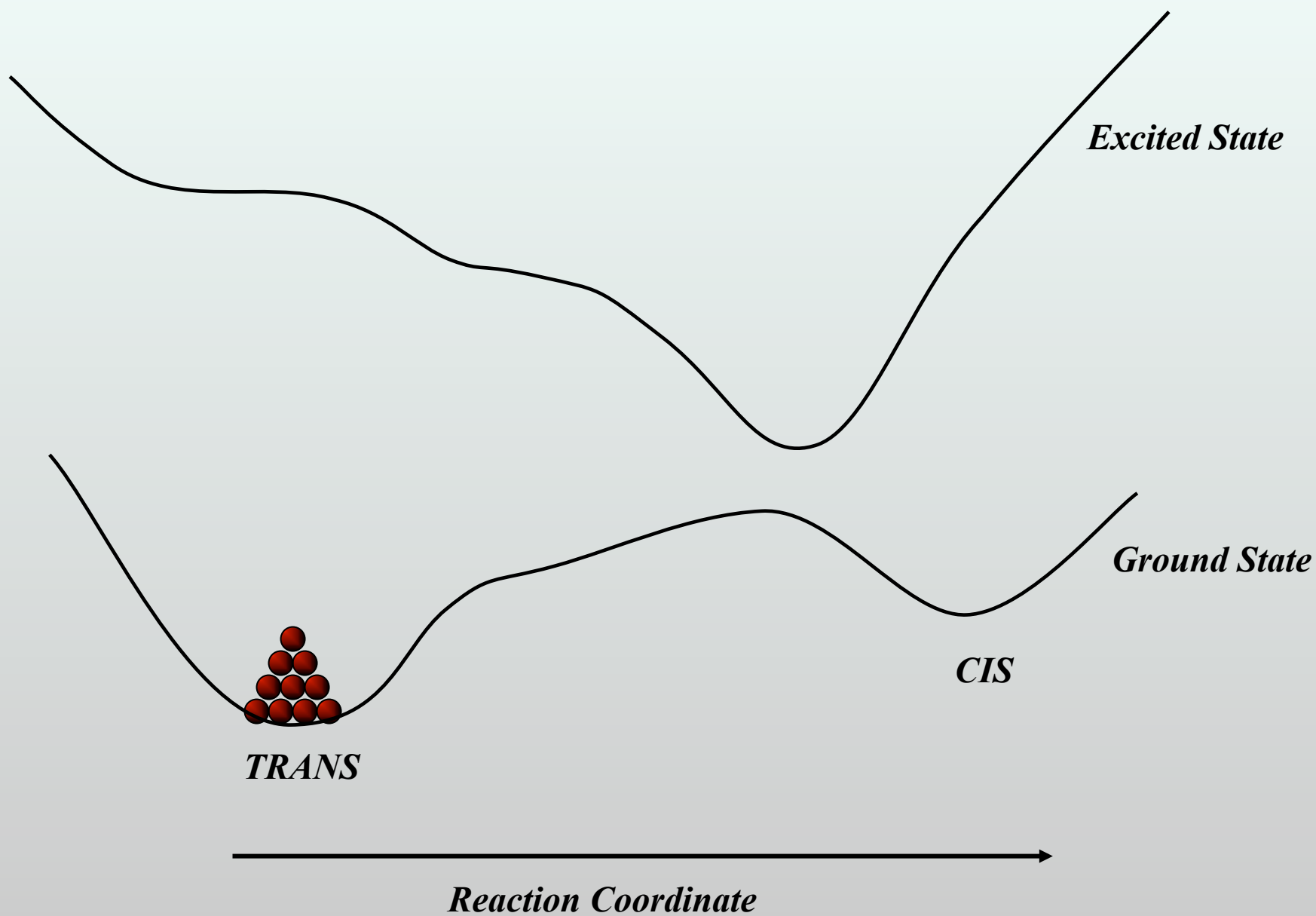
Hole Exciton

Hole

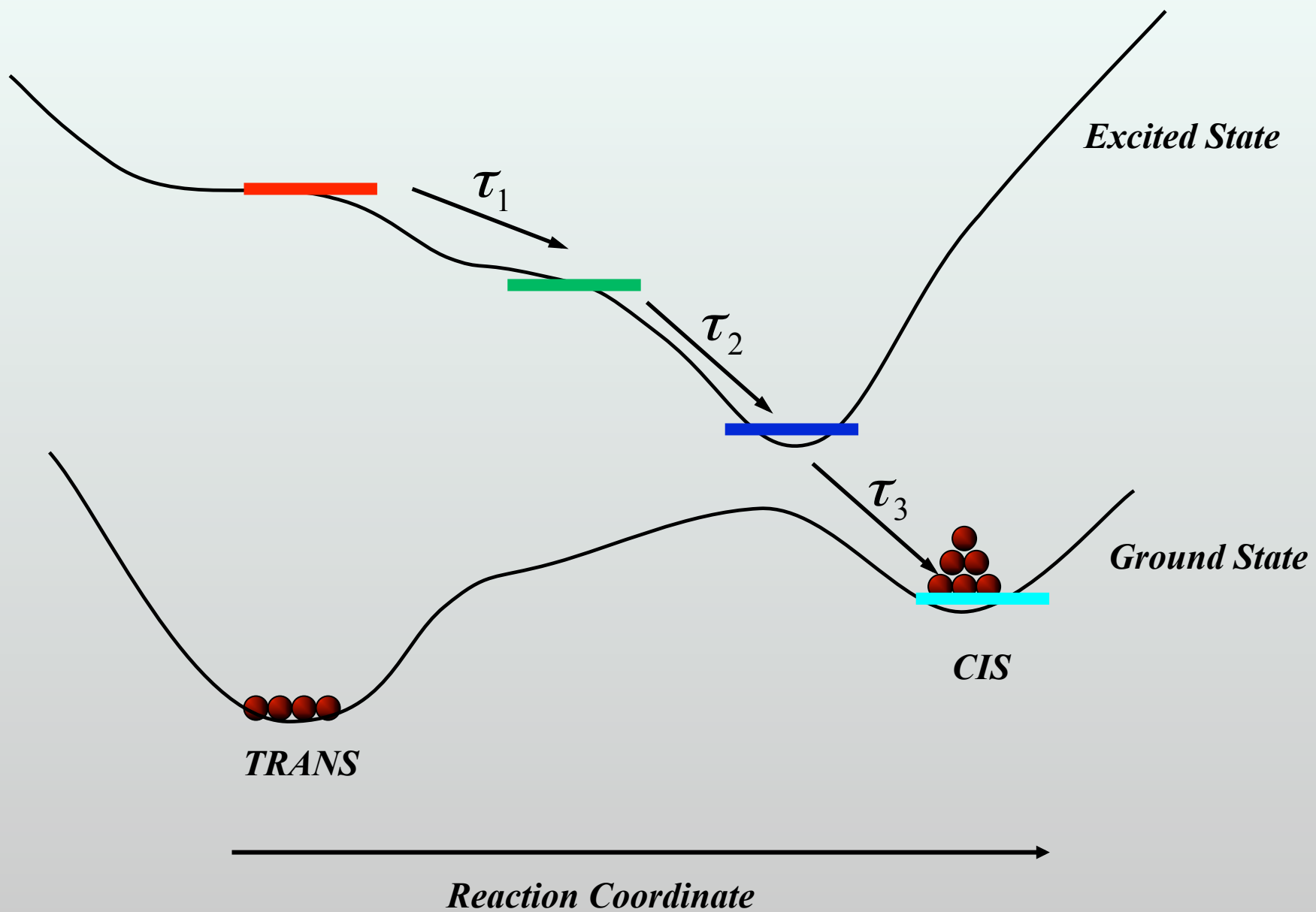
Exciton

$\delta_1^2(t_2)$

# *Photoinduced Dynamics*



# *Photoinduced Dynamics*

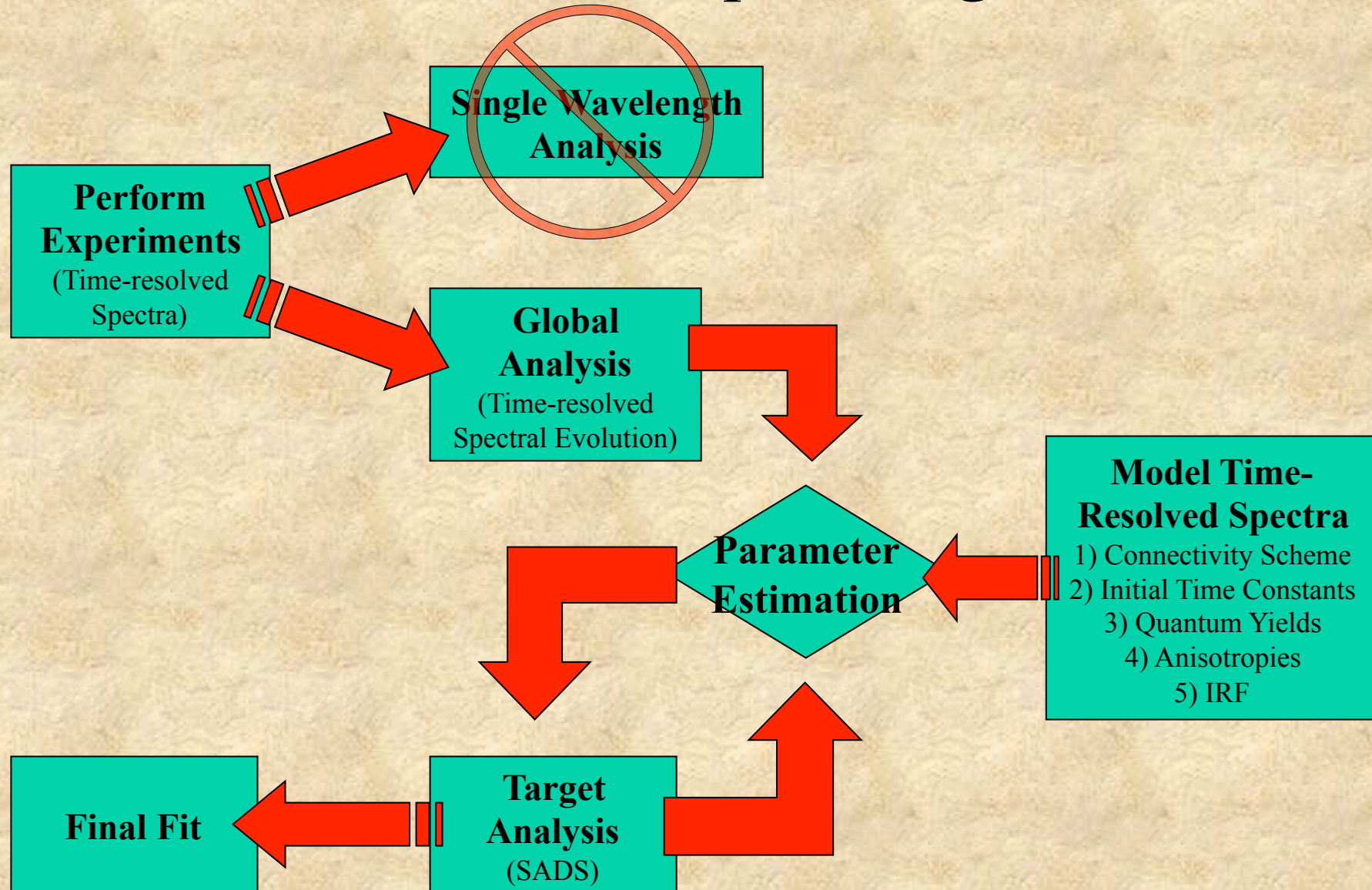


# Global analysis is a 'pinball machine' approximation of ultrafast data

Use it when:

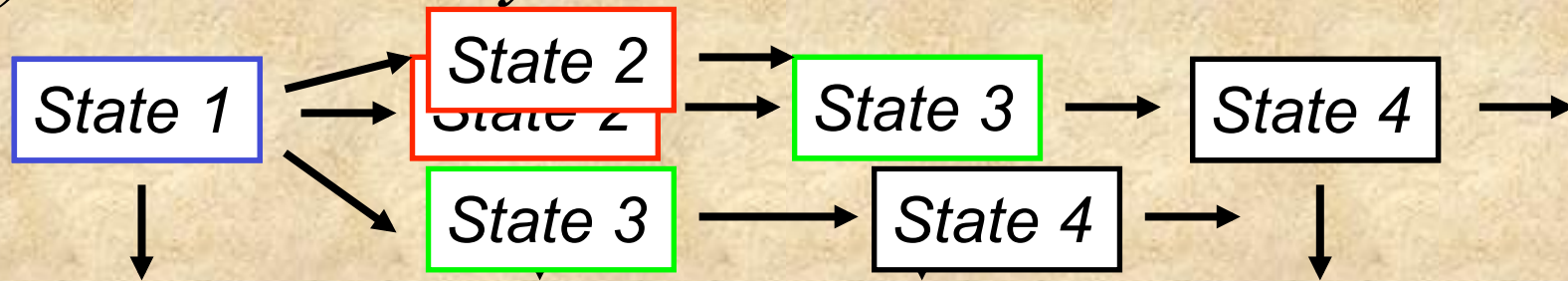
- You do not know any better.
- You need to parametrize large datasets concisely.
- You need to present and interpret the data to people without hardcore physics background.

# *Hierarchical Modeling of Dispersed Transient Absorption Signals*



# Three Principle Objectives of Global Analysis

## 1) Connectivity



## 2) Timescales

$$\dot{n}_i(t) = \sum_j k_{ij} n_j(t)$$

## 3) Spectra

$$D(\lambda, t; k_{ij}) = \sum_i A_i(\lambda) n_i(t; k_{ij})$$

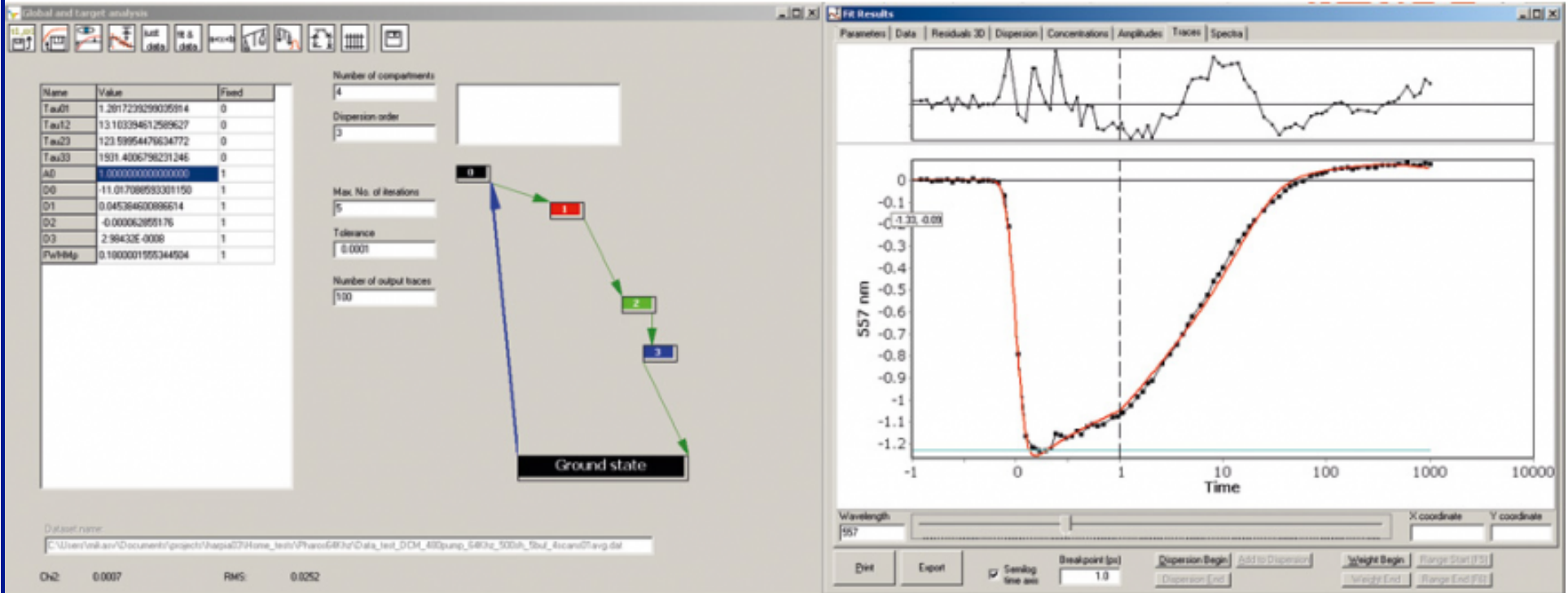
## Available options:

- Glotaran – VU Amsterdam

- CarpetView –

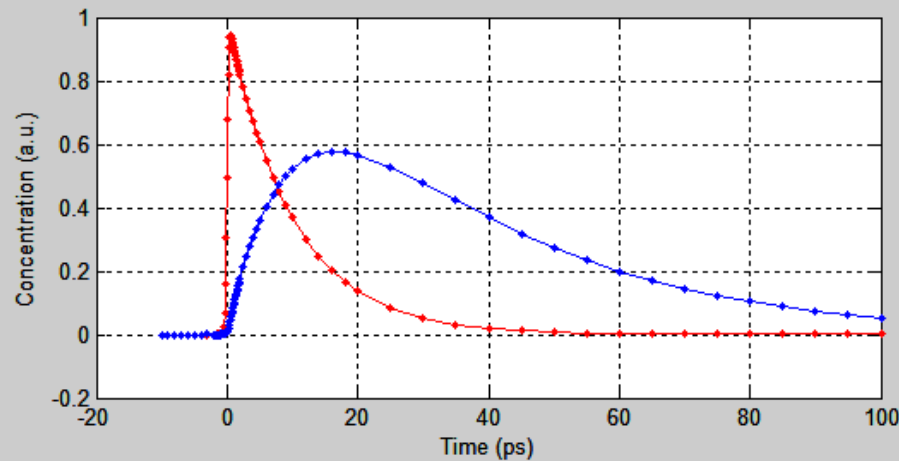


- Jasper van Thor's Matlab® based package
- A number of groups have developed their own software

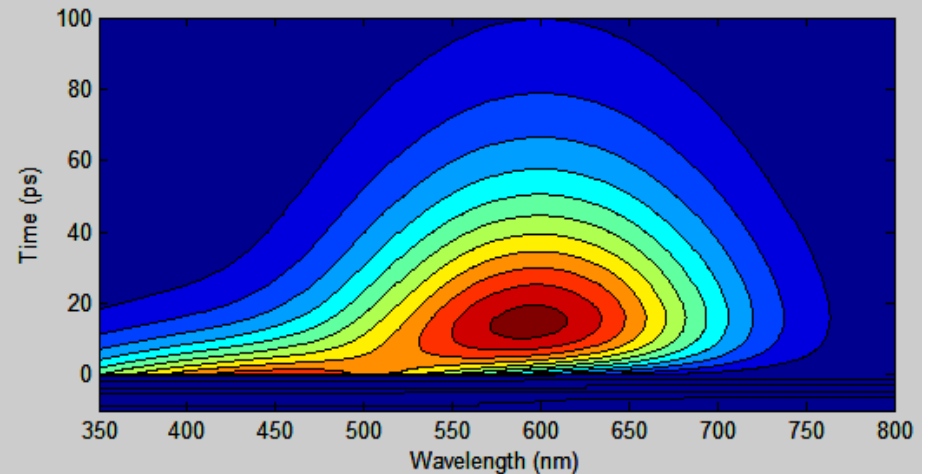
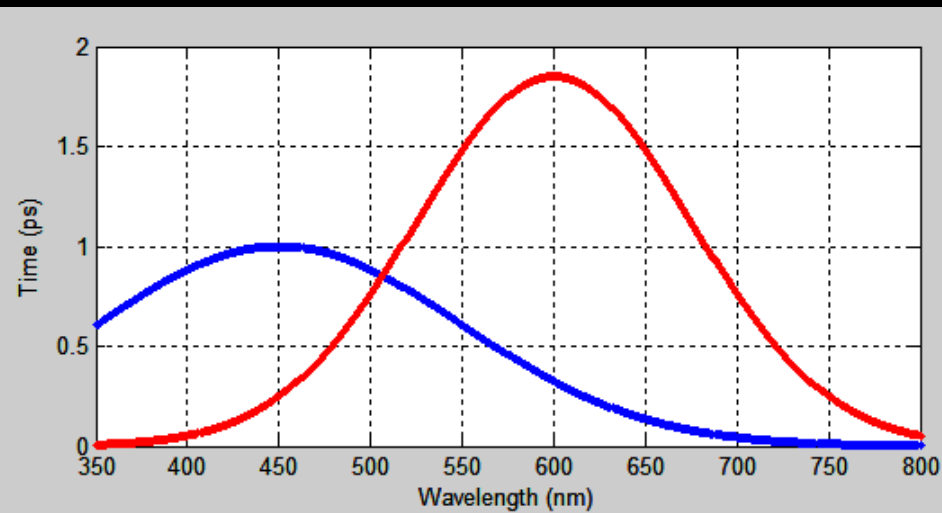




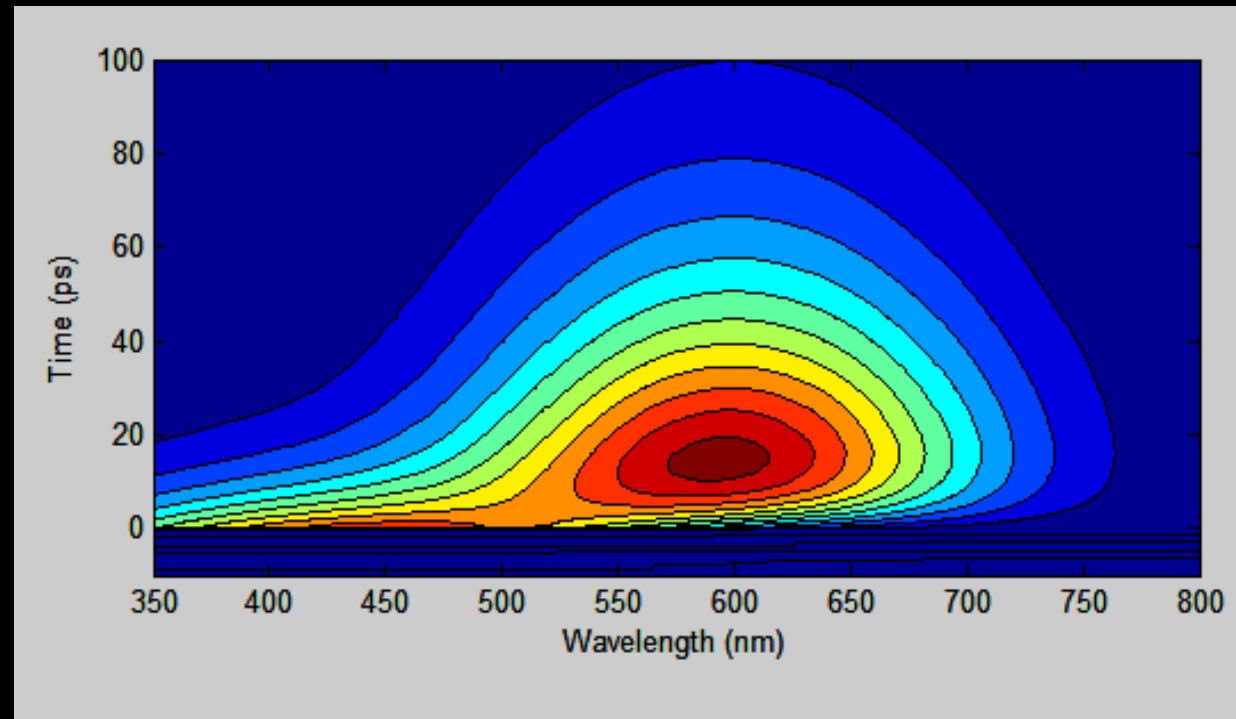
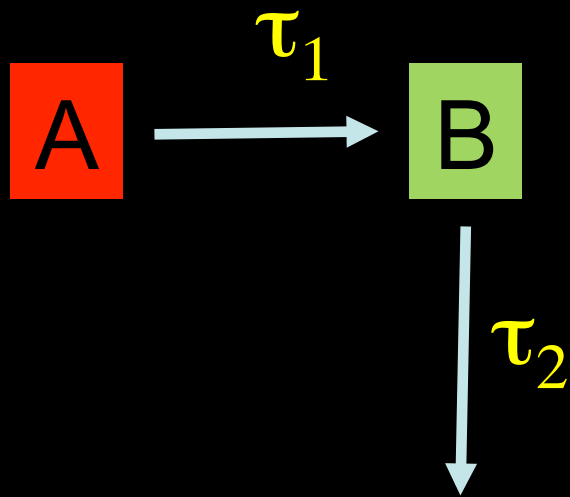
# Time-resolved fluorescence dataset (fake data)



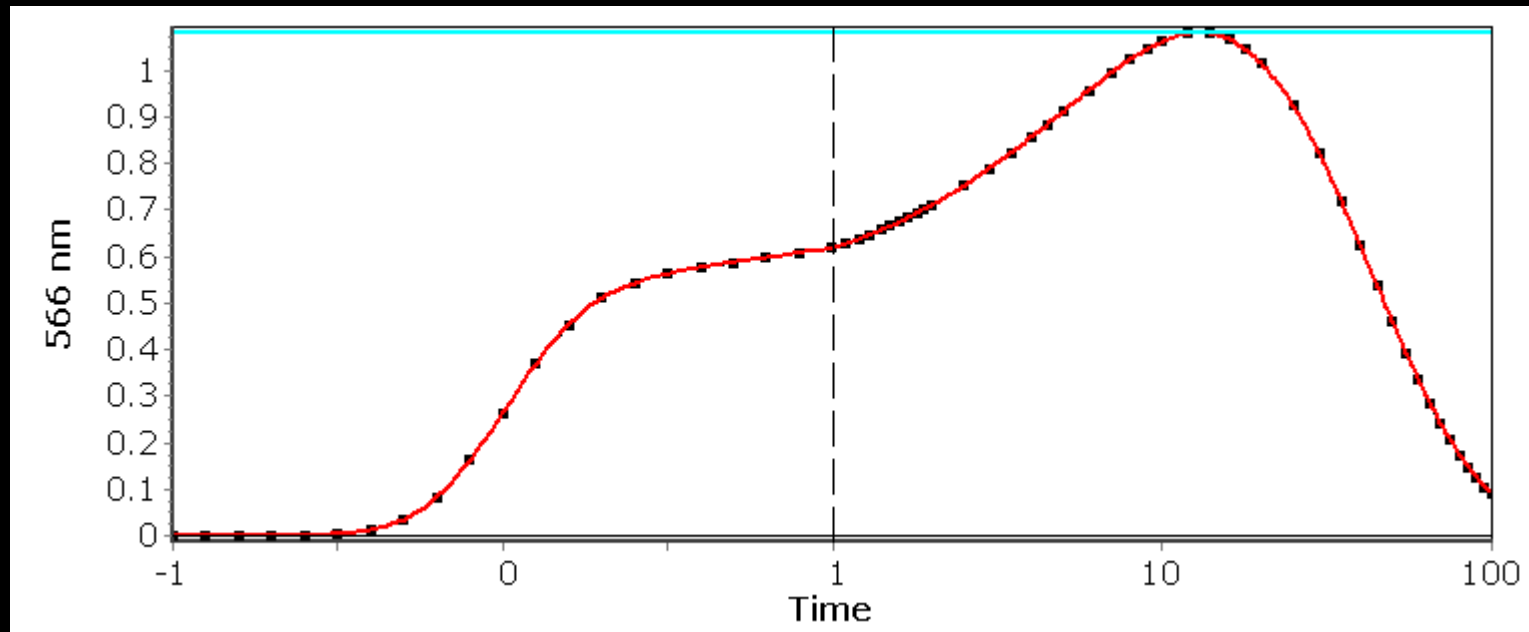
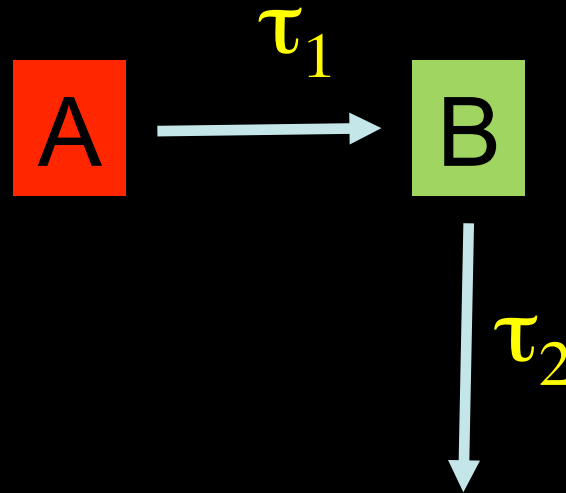
Time constants: 10 and 30 ps, IRF width: 0.2 ps



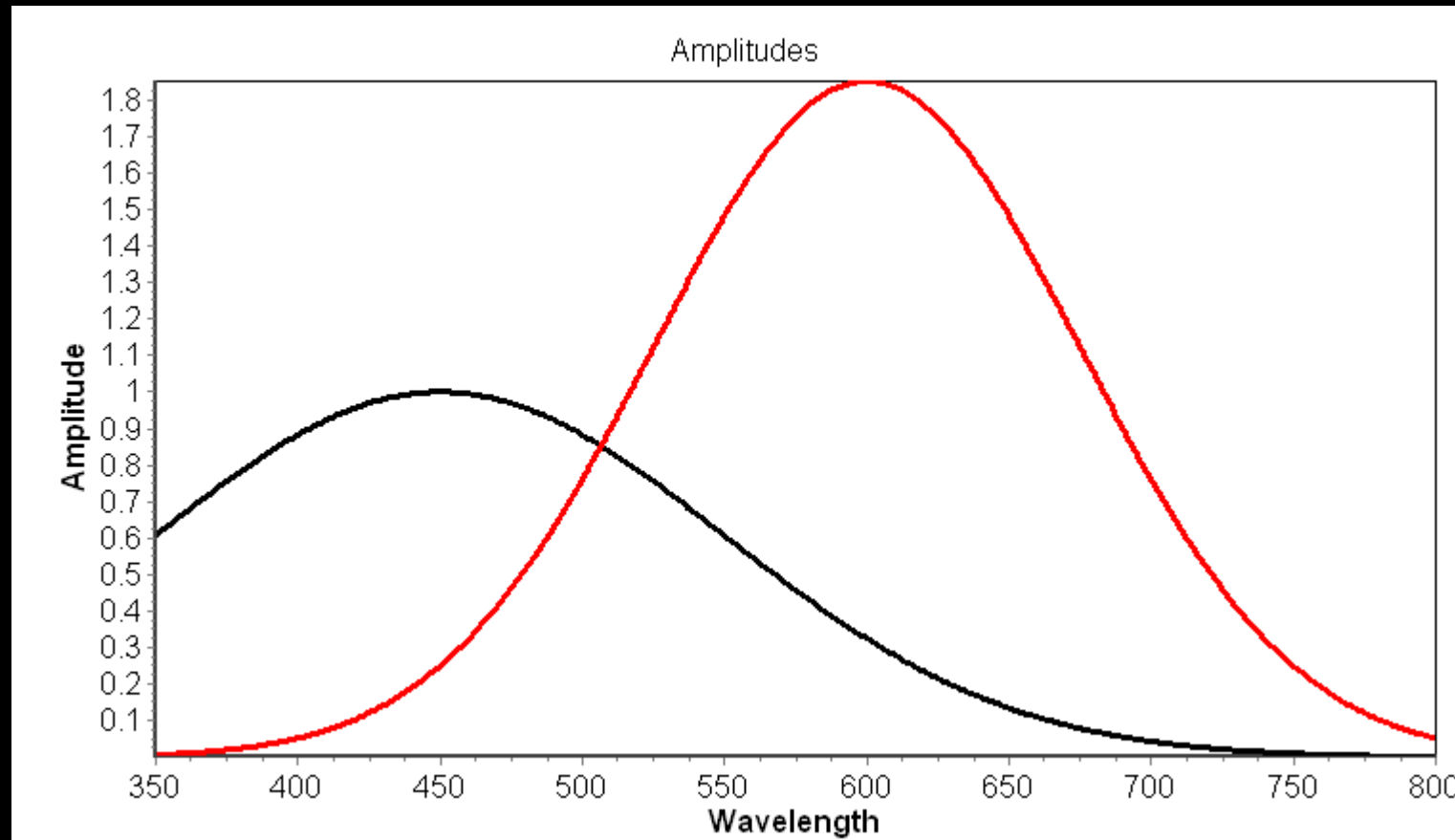
# Let's fit it using sequential model...



# Let's fit it using sequential model...



# Let's fit it using sequential model...

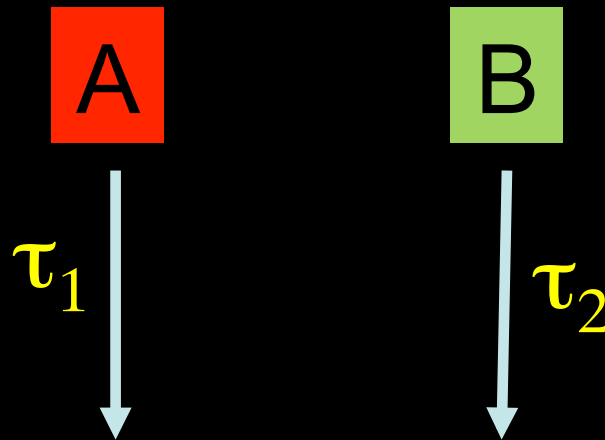


Time constants: 10 and 30 ps,  
IRF width: 0.2 ps, just what  
we put in.

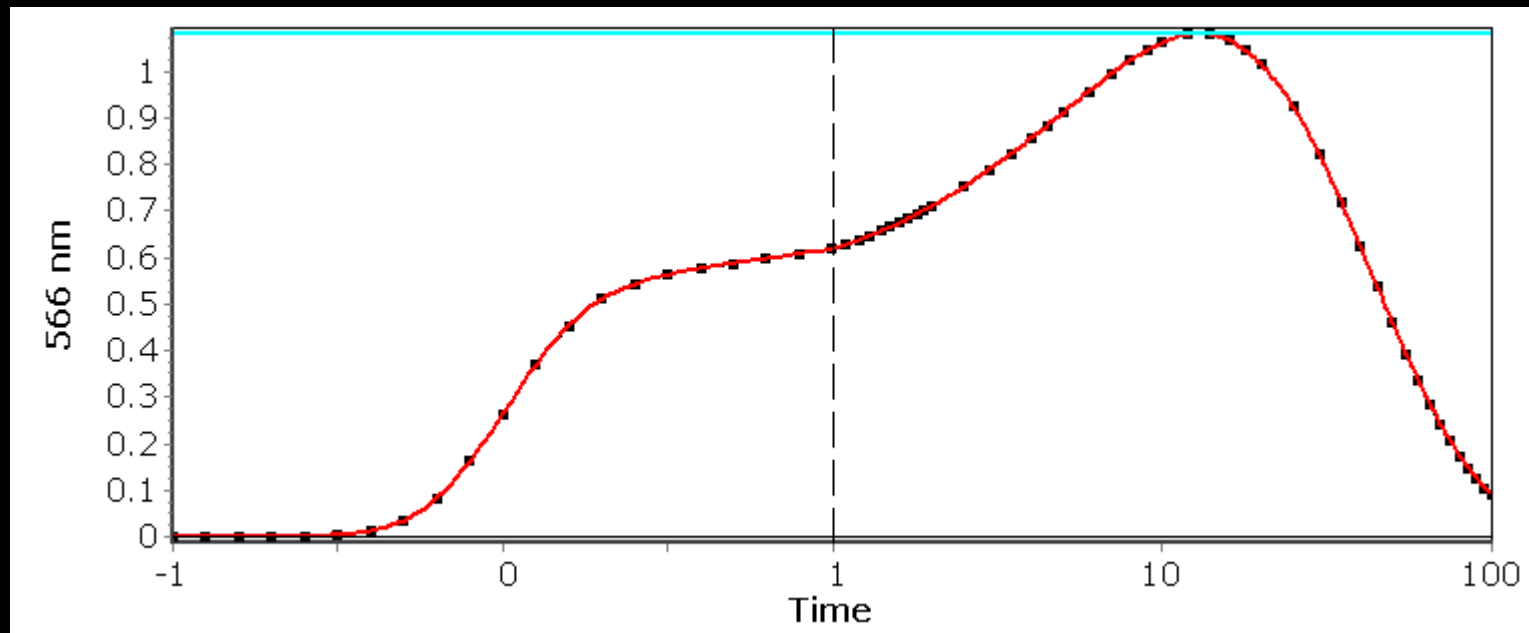
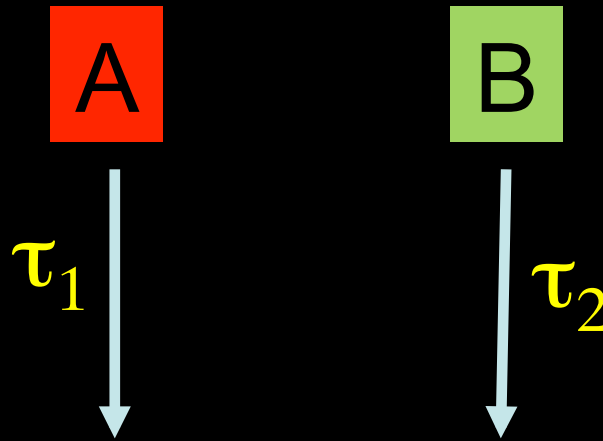
So, we nailed it, right?...

# WRONG.

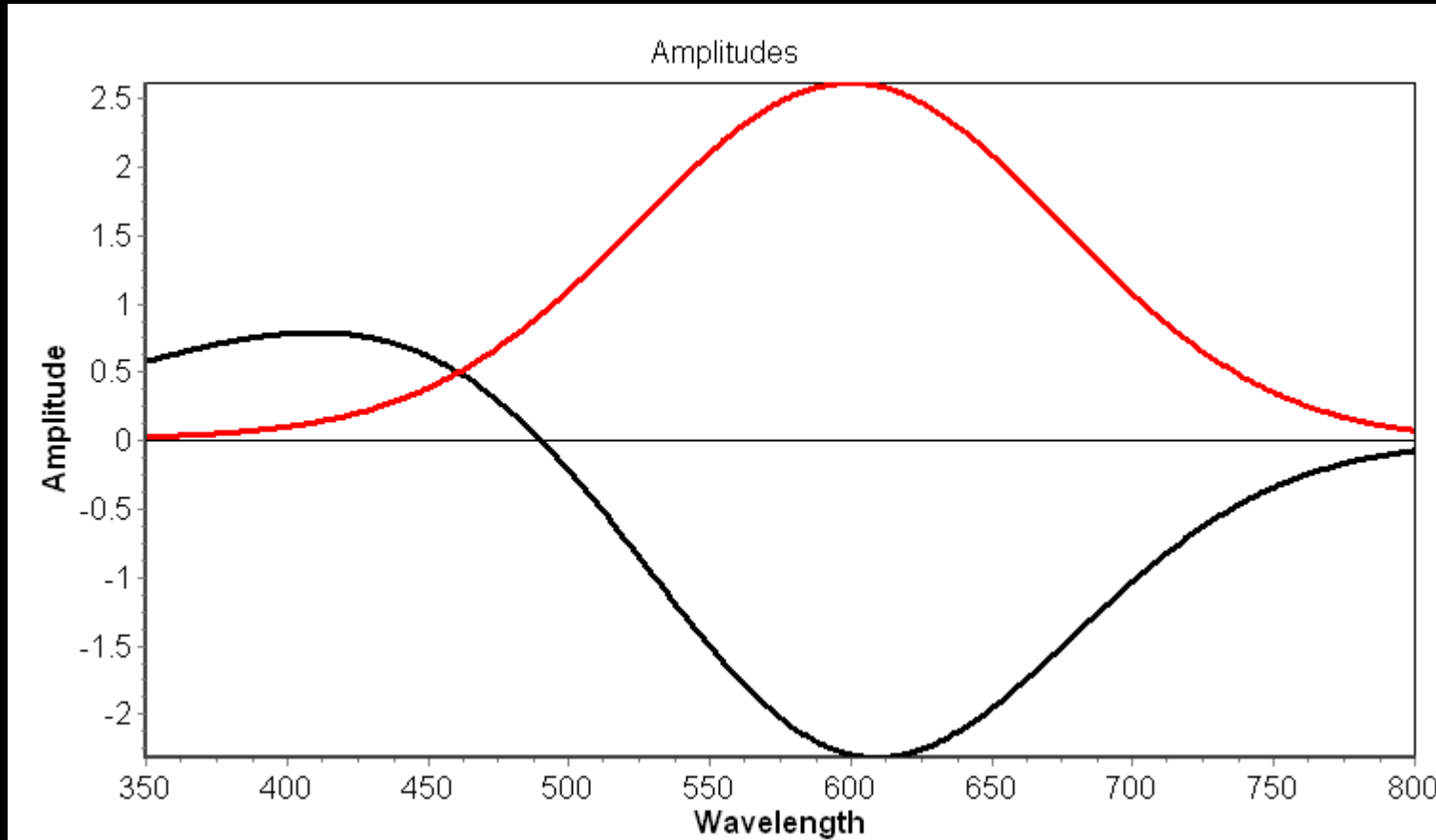
To see why, let's fit it using another model:



# The fit is just as good

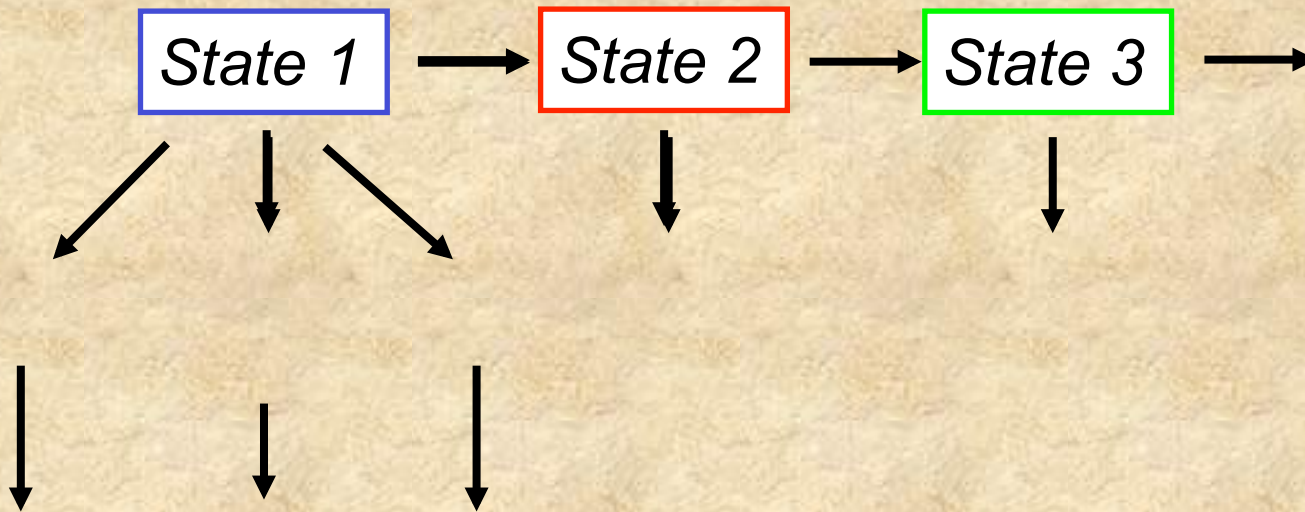


# But the component spectra look different:



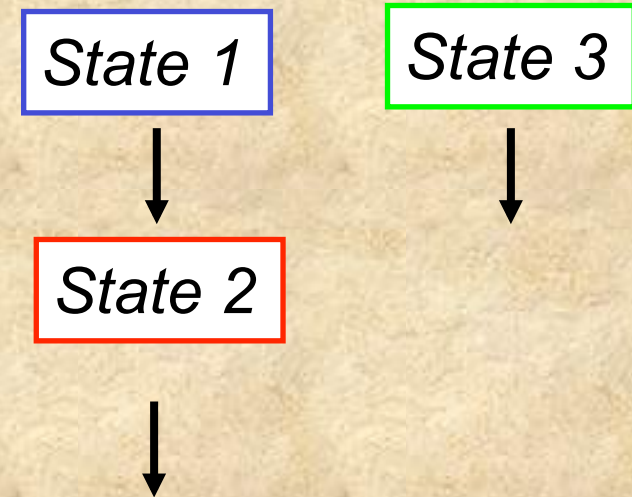
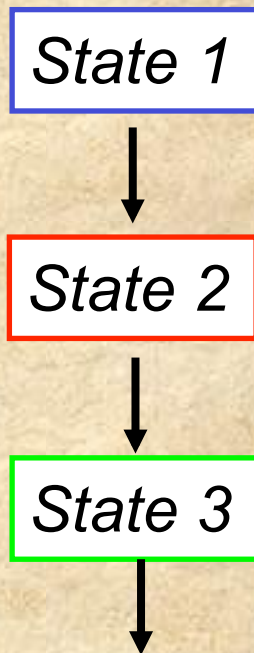
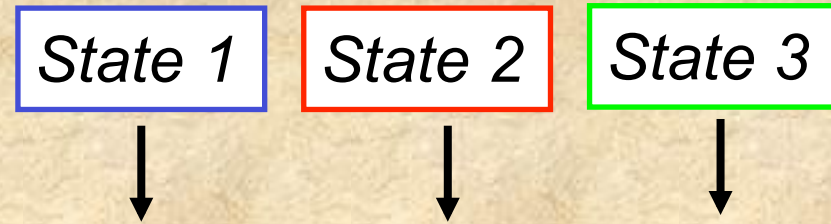
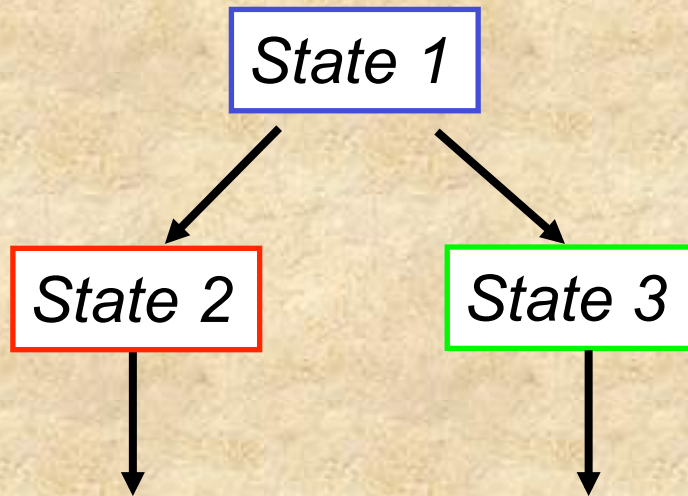
The models represent two different realities, they can't both be correct.

*Imagine what you could do with three-  
component models:*

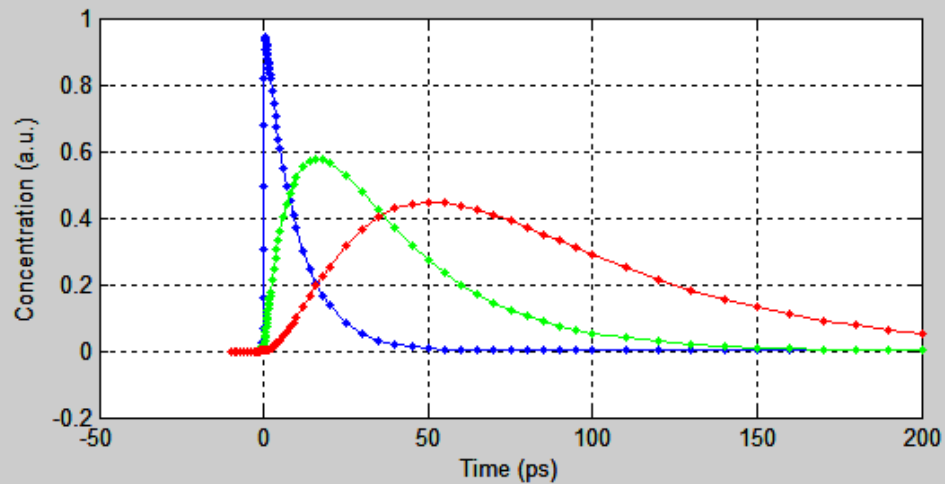




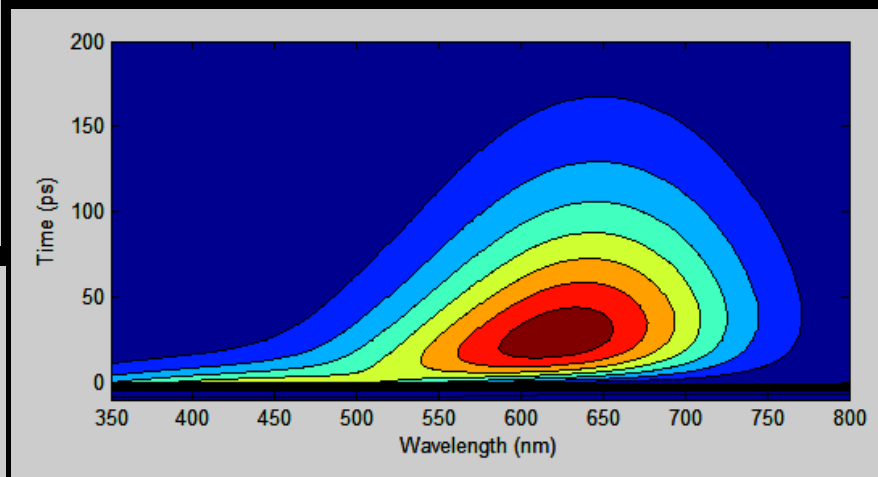
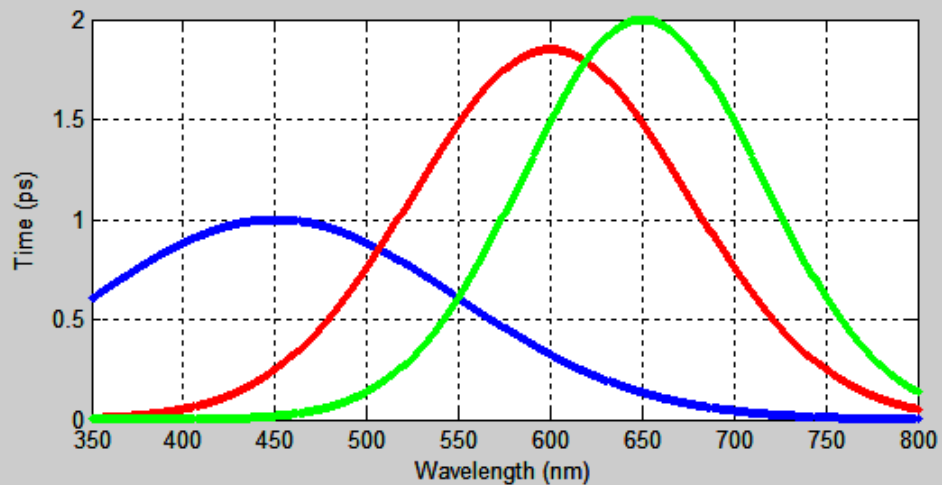
*Imagine what you could do with three-component models:*



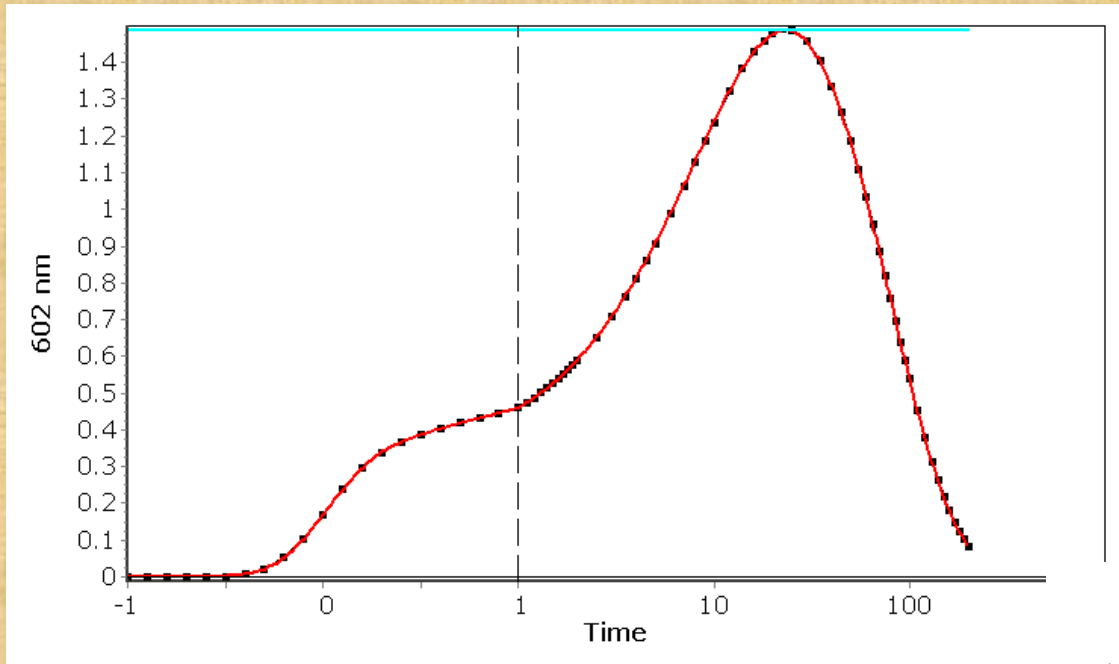
# Fluorescence dataset (fake data)



Time constants: 10, 30 and 50 ps, IRF width: 0.2 ps



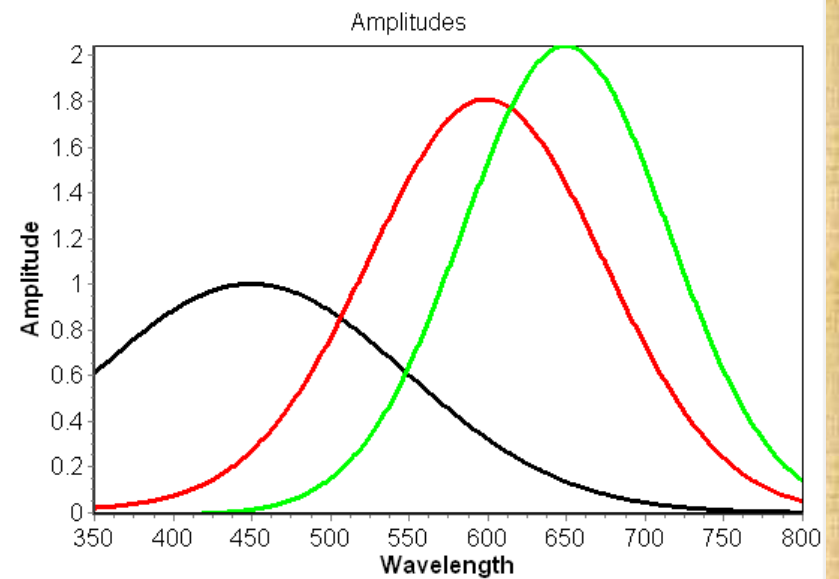
# Pump-probe dataset (fake data)



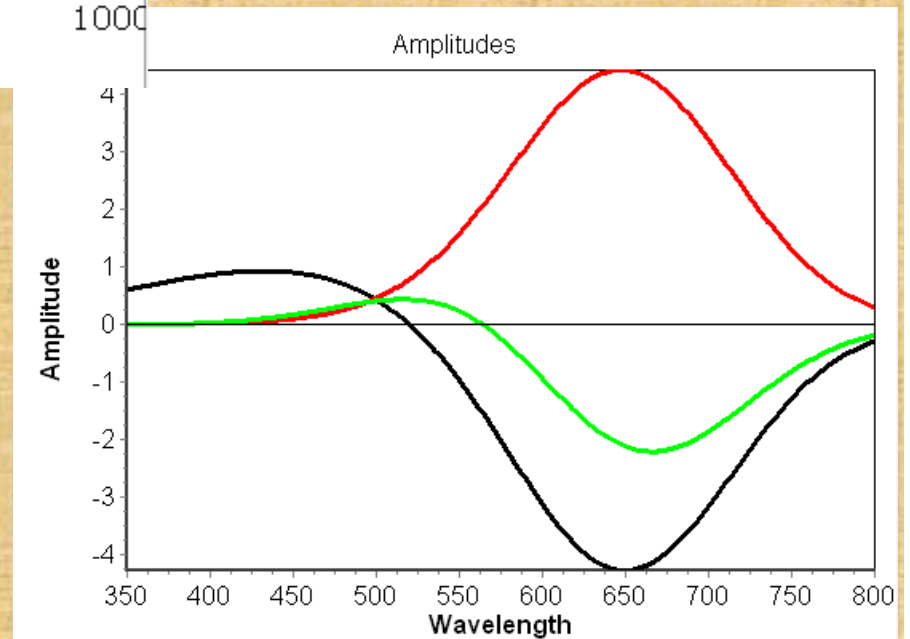
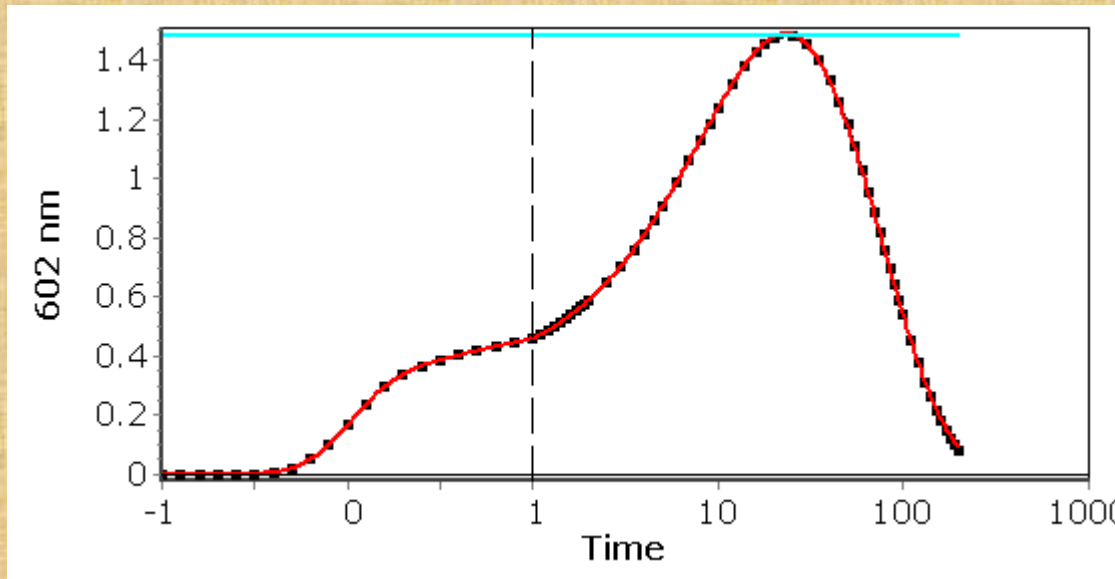
State 1

State 2

State 3



# Pump-probe dataset (fake data)



State 1

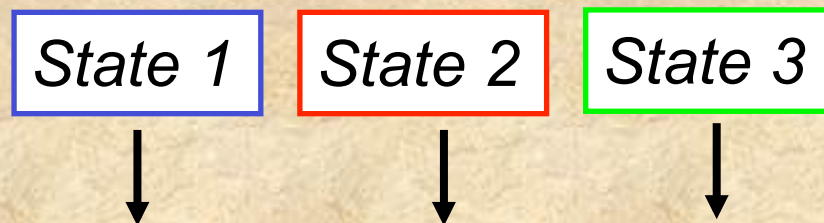
State 3

State 2

# Model degeneracy

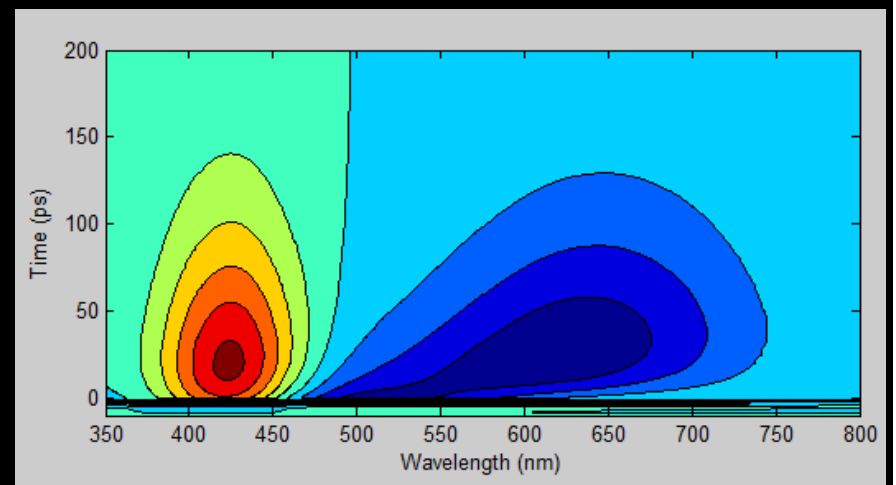
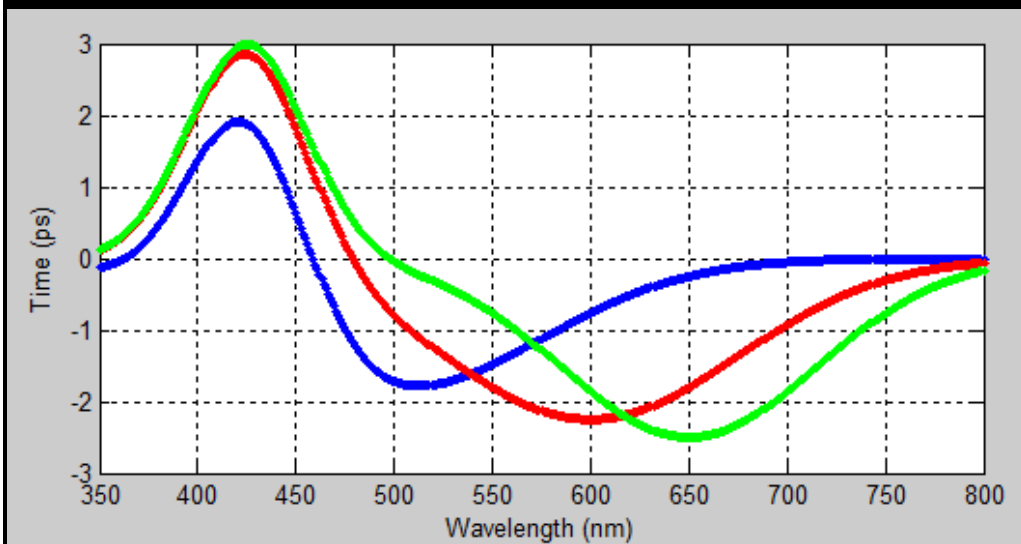
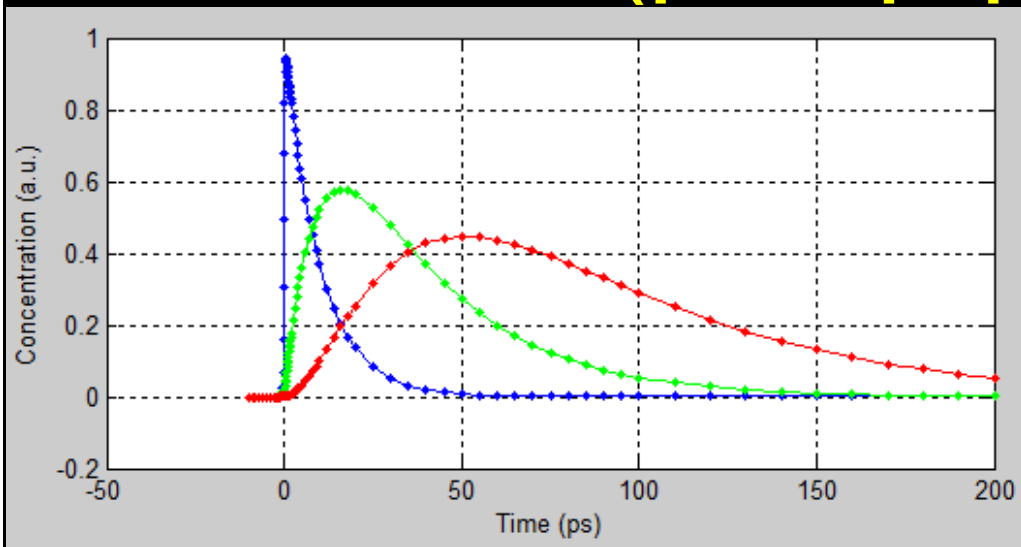
- Any model using connectivity scheme with the same rank (number of different lifetimes observed) will fit the data equally well.
- Besides the quality of the fit, the models have to be judged by the plausibility of component spectra they produce!

# *Models describing data for parametrization purposes (global analysis): parallel*

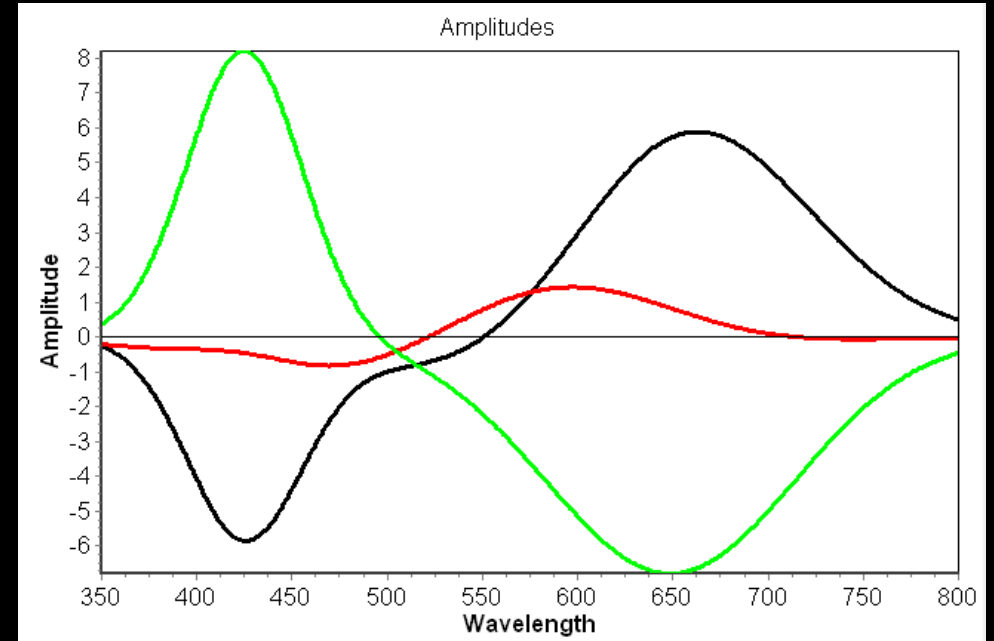
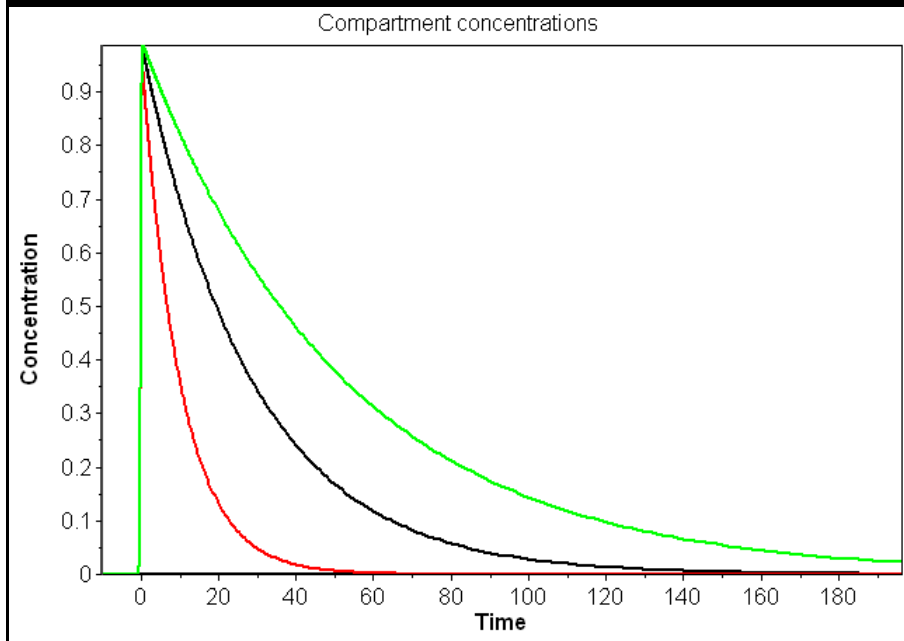
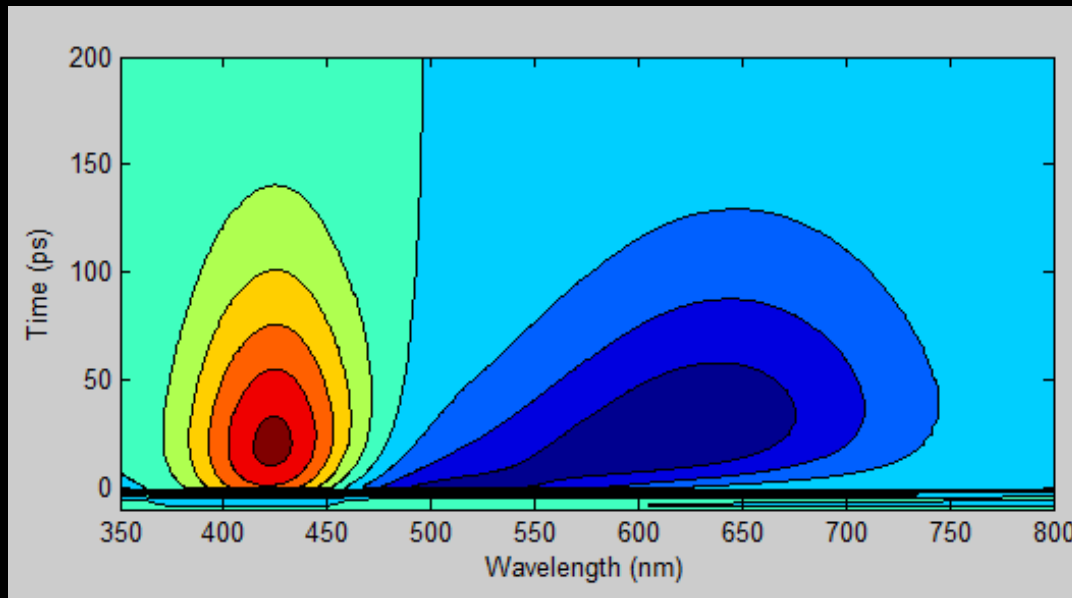


- Independent (parallel) decay model;
- Assumes independent lifetimes for different components;
- Produces *Decay-Associated Difference Spectra*, DADS (in TA) or *Decay-Associated Spectra*, DAS (in fluorescence).
- Negative amplitude means loss of (positive) signal, positive amplitude means gain (growth) of (positive) signal.
- What about the signals with varying signs?

# Dataset with varying signs (pump-probe)



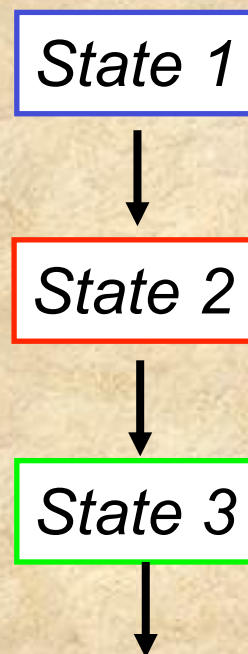
# Dataset with varying signs



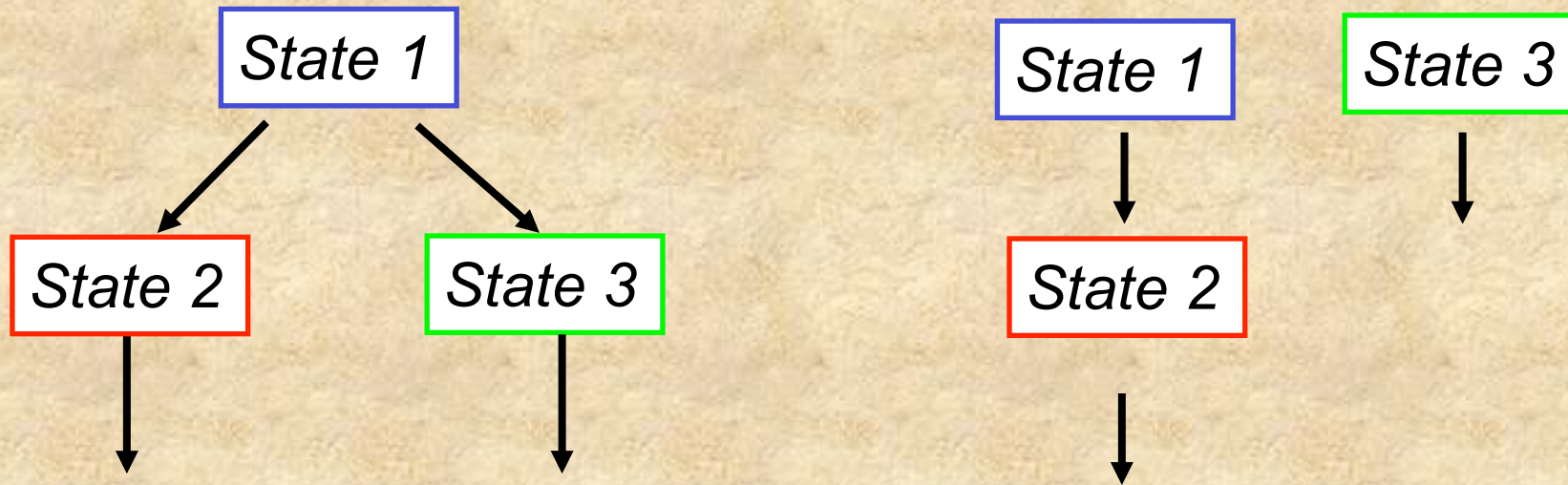


# *Models describing data for parametrization purposes (global analysis): sequential*

- Assumes initial population put in compartment 1, and spectra evolving one into the next.
- Produces *Evolution-Associated Difference Spectra* (EADS).
- Different EADS resemble spectra observed at different times.
- Should be the first model of choice when doing preliminary analysis of TA (and probably fluorescence).



*When you start to wonder...*



When the different compartments are ascribed physical meanings and connectivity scheme is established using physical assumptions, you are entering the realm of *Target Analysis*.

The resulting spectra with physical meaning are called *Species-Associated Difference Spectra (SADS)*

# Build your intuition about SADS:

- Fluorescence SADS should be positive.
- Upon solvation, stimulated emission shifts to the red.
- Ground state SADS are negative only in the GSB region.
- Spectral changes ascribed to different physical processes match your intuition.



# Important to remember:

- Not all kinetics are exponential, but most of what we measure can be depicted as such.
- Worse fit and reasonable spectra is better than good fit with ridiculous spectra

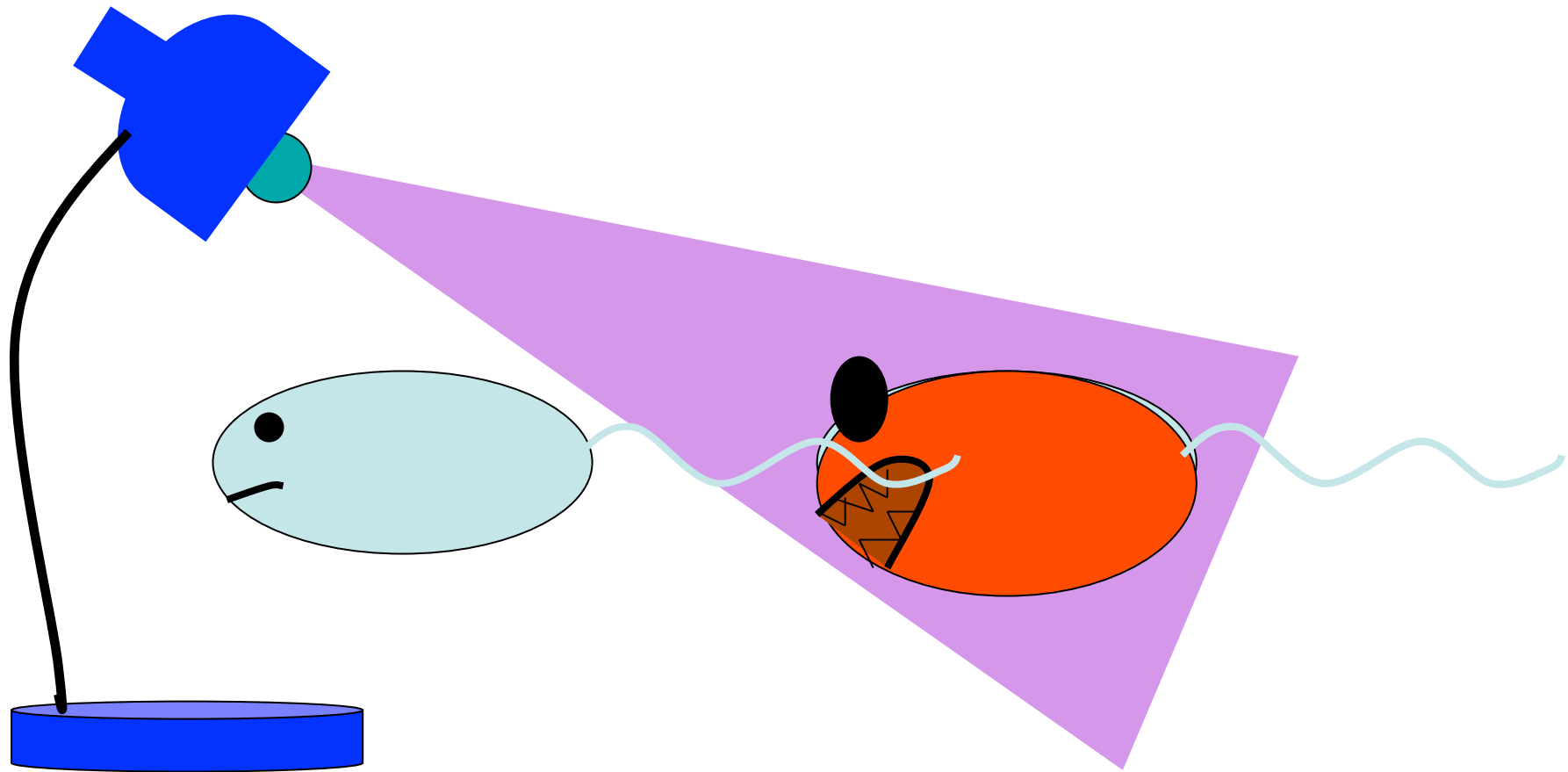


# *The Photoactive Yellow Protein Structure*

- Function: phototaxis photoreceptor in *Halorhodospira halophila*
- Water-soluble protein, suitable for genetic and chemical engineering
- High-resolution structures available ( $\sim 0.85\text{\AA}$ )



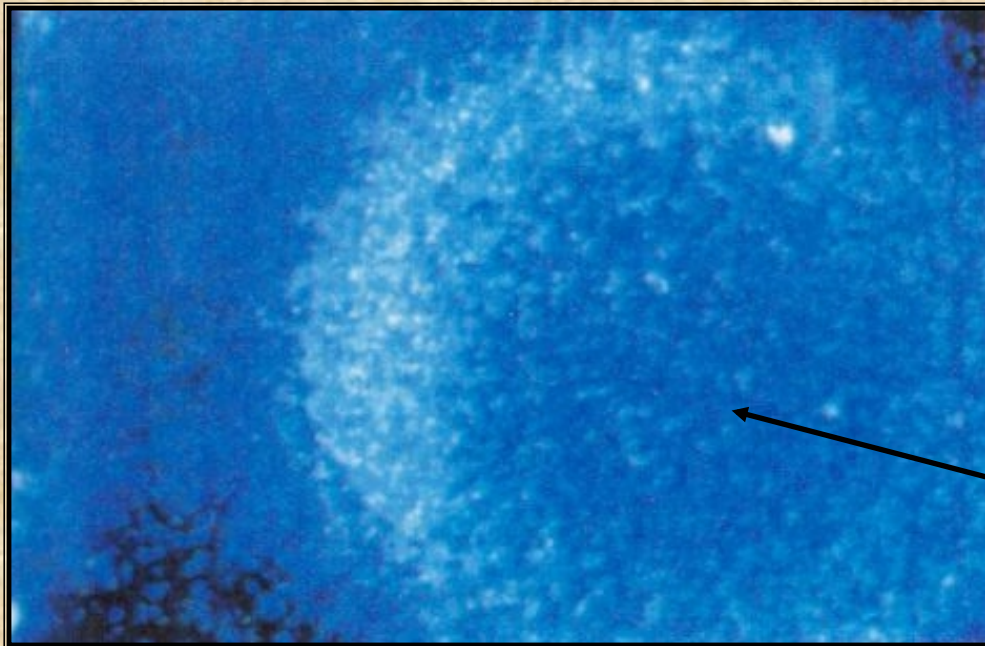
*Negative phototactic response to blue light*



UnHappy bacterium

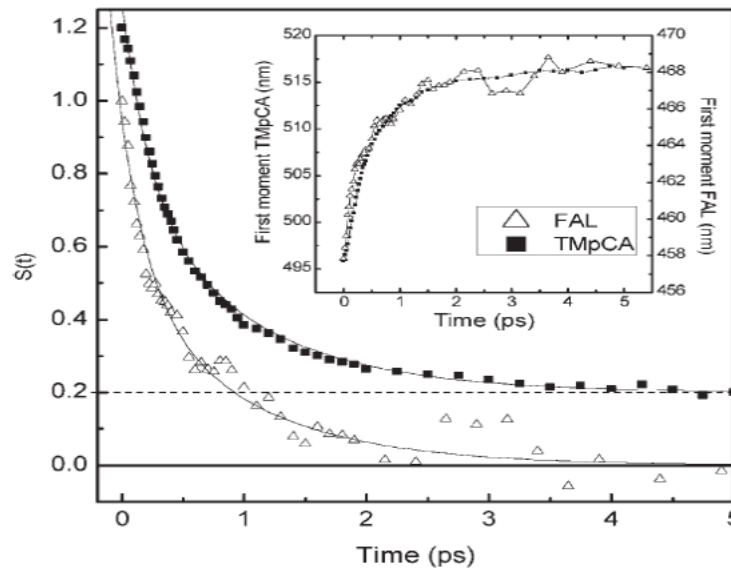
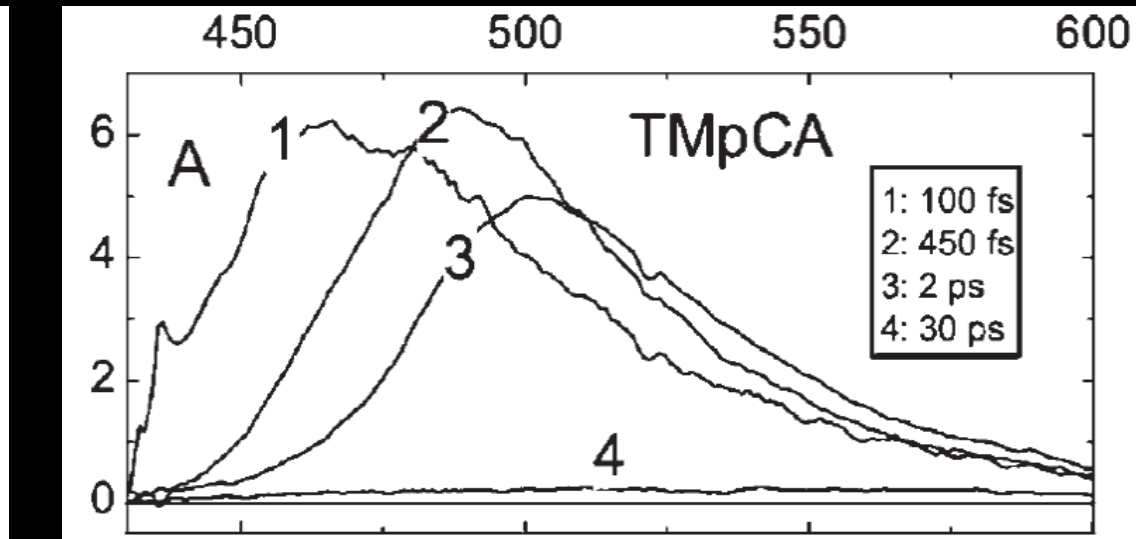
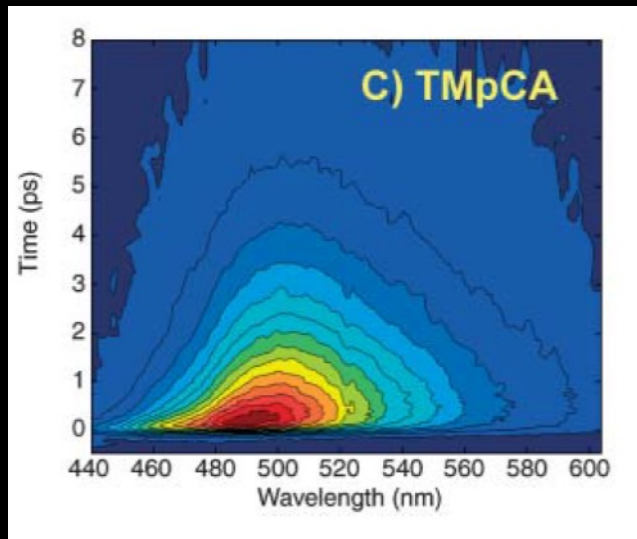
*Negative Phototactic Response in  
Halorhodospira halophila :  
PYP as the signal Transducer*

Negative Phototactic  
Response to Applied  
Blue Light



*Local Light Illumination*

# Case study: solvation + isomerization





**Adding a twist...**

**Advanced ultrafast  
spectroscopies**

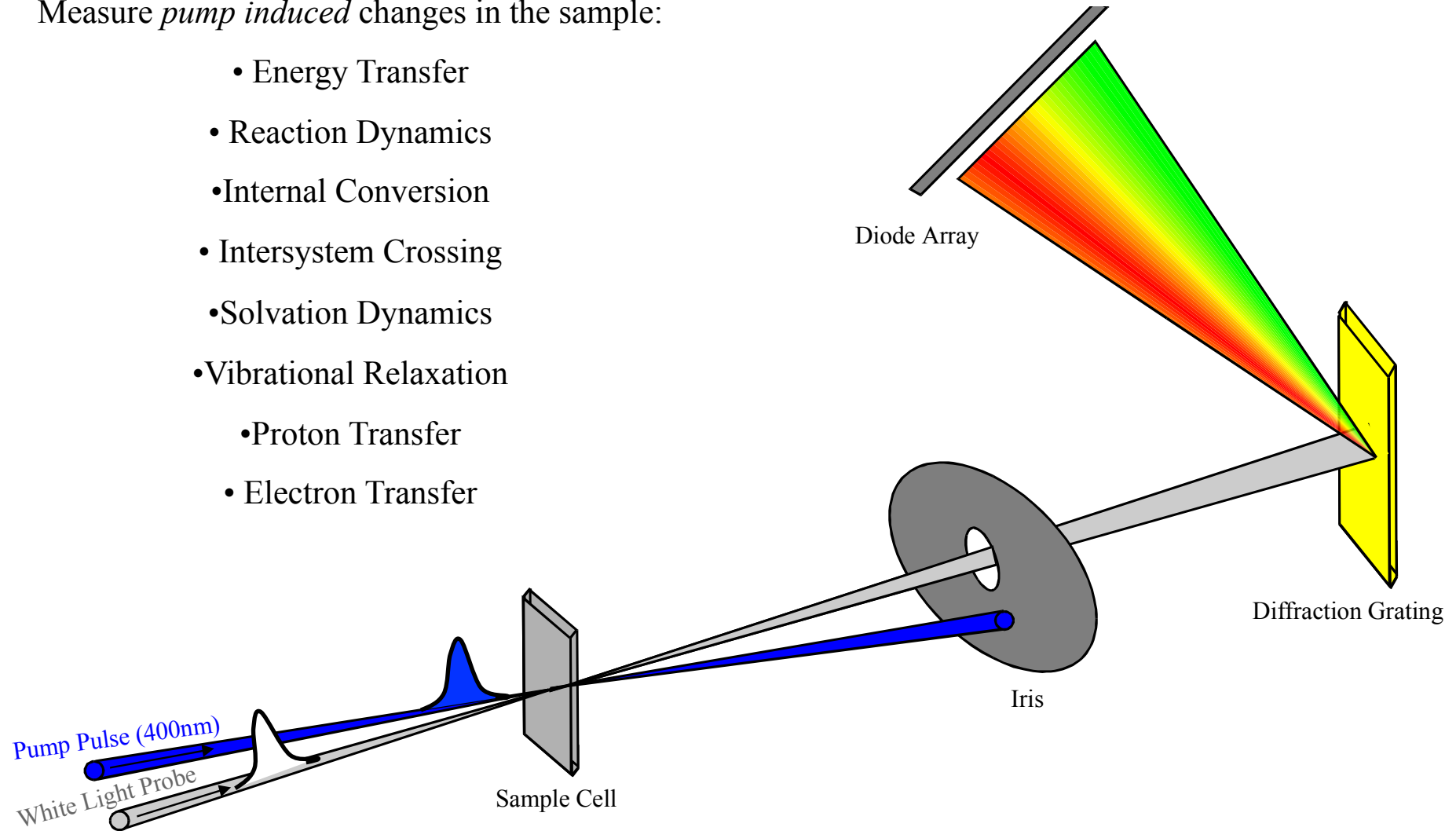
**Twist #1:**

**Multi-pulse transient absorption**

# Dispersed Pump-Probe Experimental Setup

Measure *pump induced* changes in the sample:

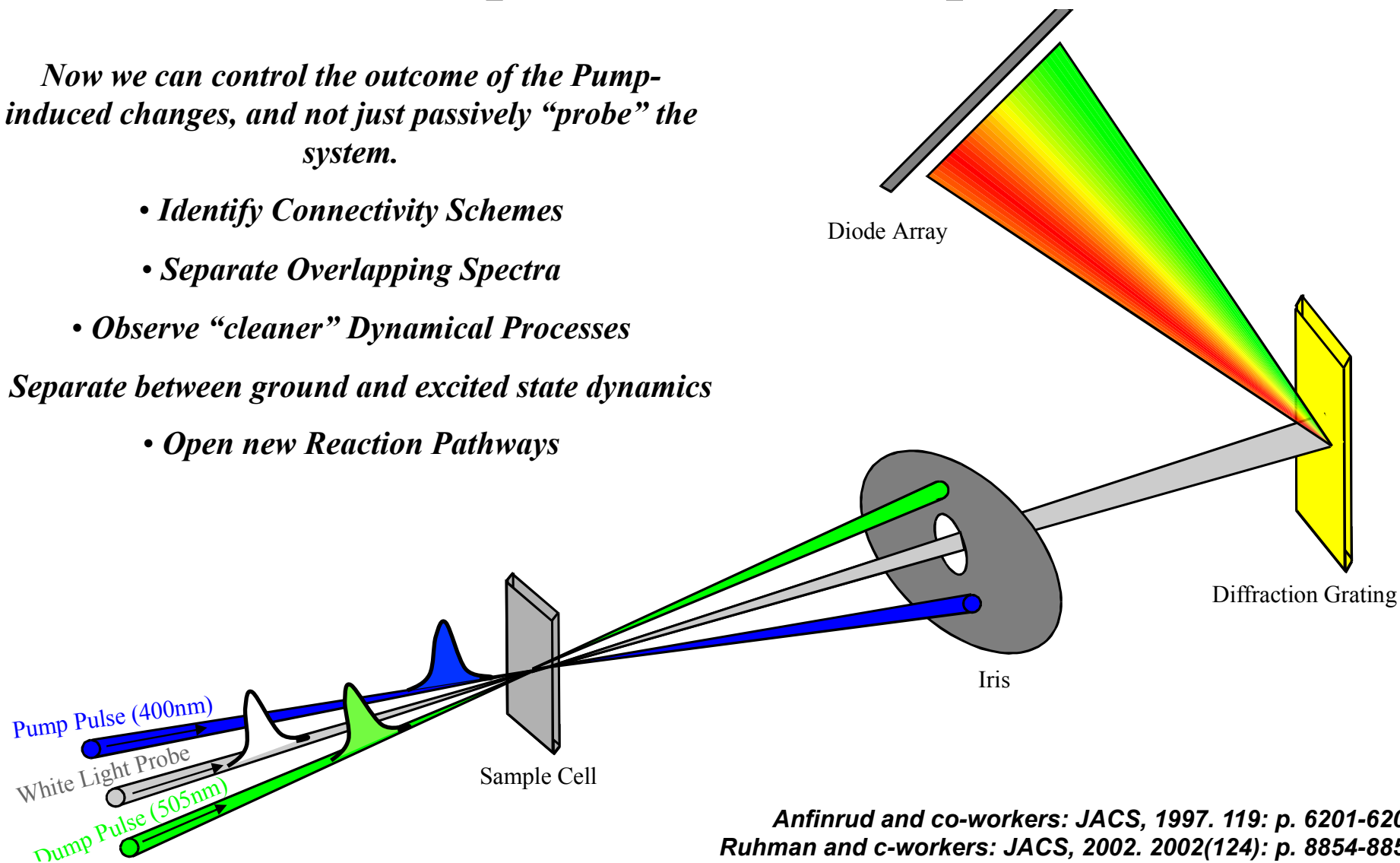
- Energy Transfer
- Reaction Dynamics
- Internal Conversion
- Intersystem Crossing
- Solvation Dynamics
- Vibrational Relaxation
  - Proton Transfer
  - Electron Transfer



# Dispersed Multi-Pulse Experimental Setup

*Now we can control the outcome of the Pump-induced changes, and not just passively “probe” the system.*

- *Identify Connectivity Schemes*
- *Separate Overlapping Spectra*
- *Observe “cleaner” Dynamical Processes*
- *Separate between ground and excited state dynamics*
- *Open new Reaction Pathways*



*Anfinrud and co-workers: JACS, 1997. 119: p. 6201-6202*  
*Ruhman and co-workers: JACS, 2002. 2002(124): p. 8854-8858*  
*Field and co-workers: Journal of Chemical Physics, 1988. 88(9): p. 5972-5974*

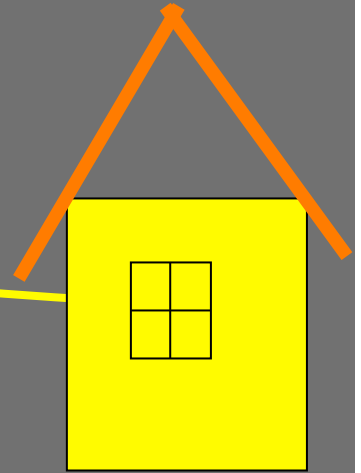
University



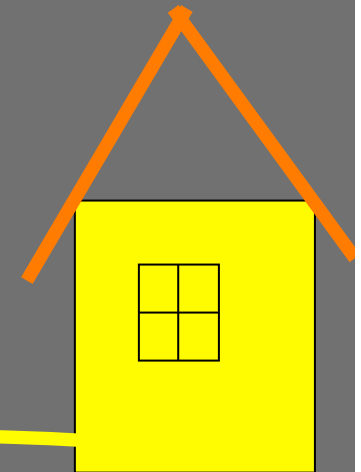
Pub



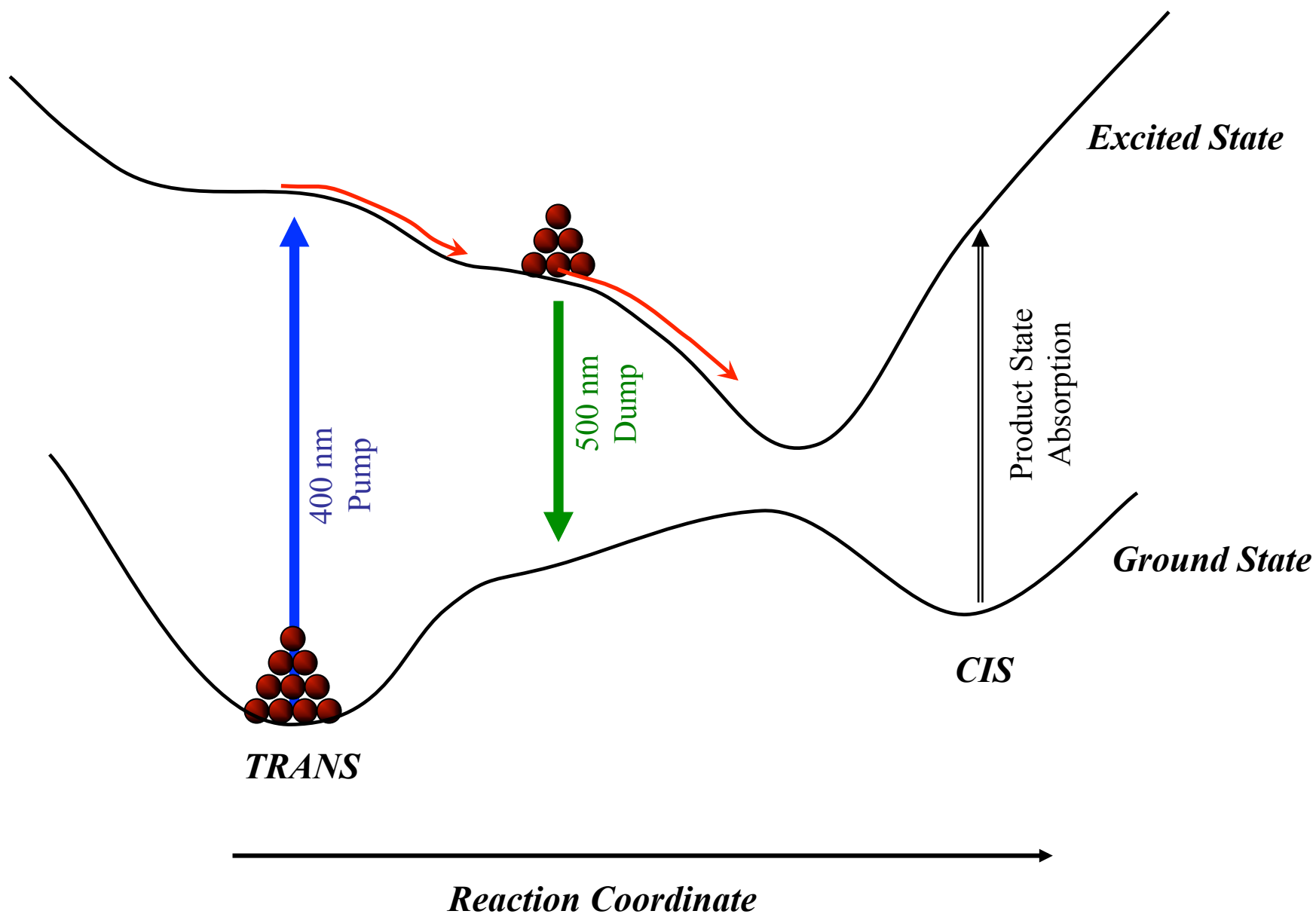
Home



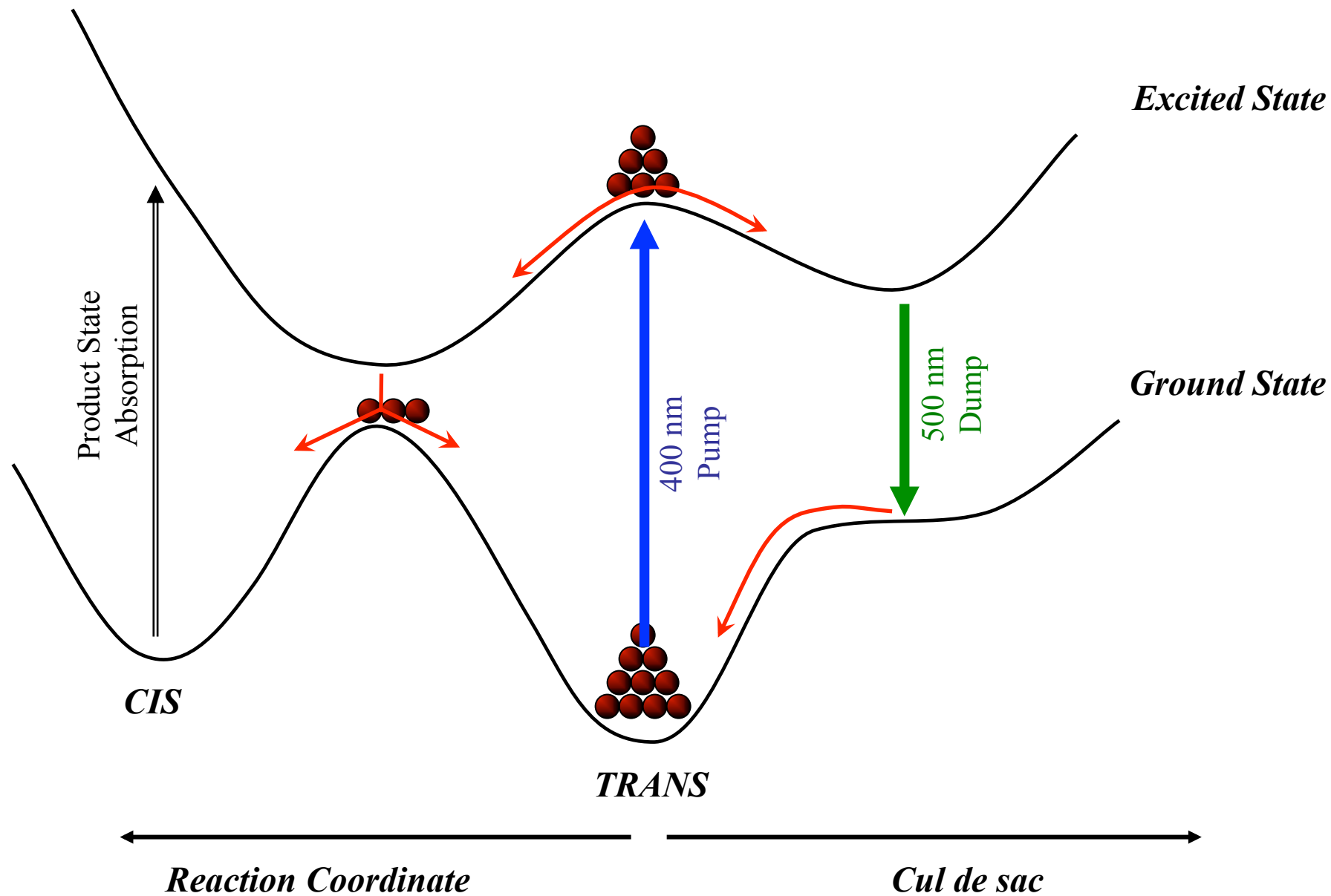
University



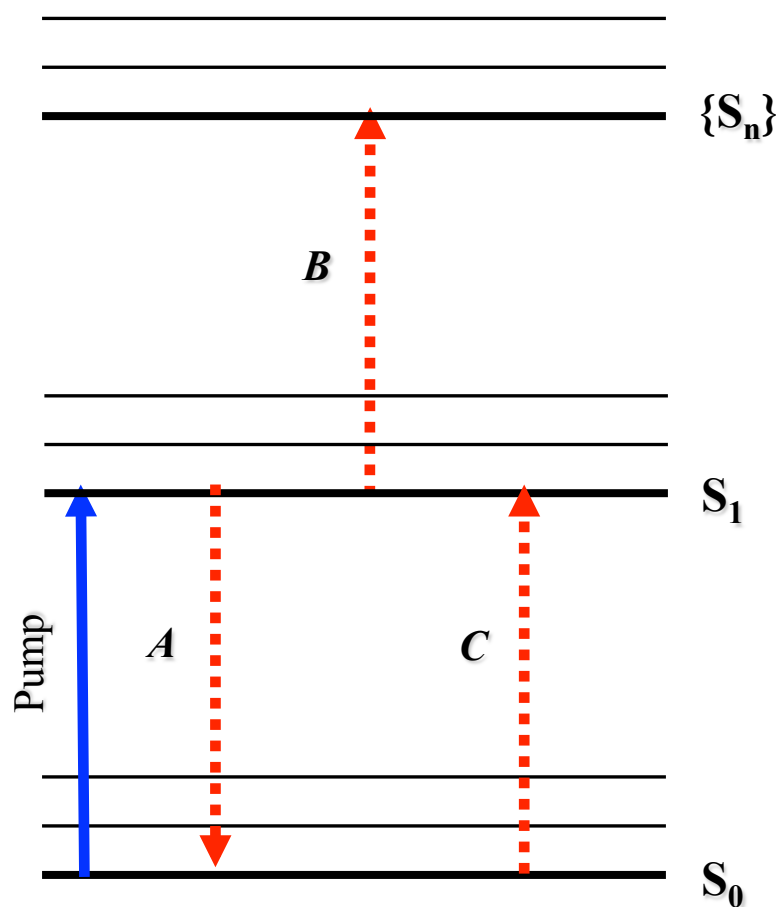
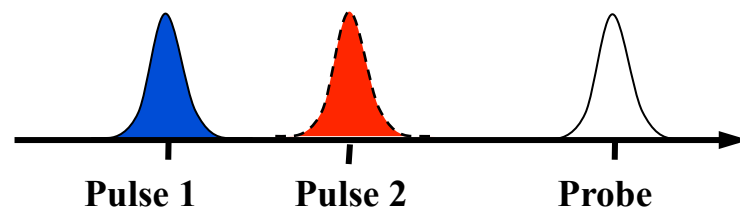
# *Sequential Isomerization Dynamics*



# *Branched Isomerization Dynamics*



# Multi-pulse Transient Absorption Spectroscopies



## A: Pump-dump-probe (PDP)

The second laser pulse is resonant with the stimulated emission band: *(loss of excited population leading to decrease of all signals)*

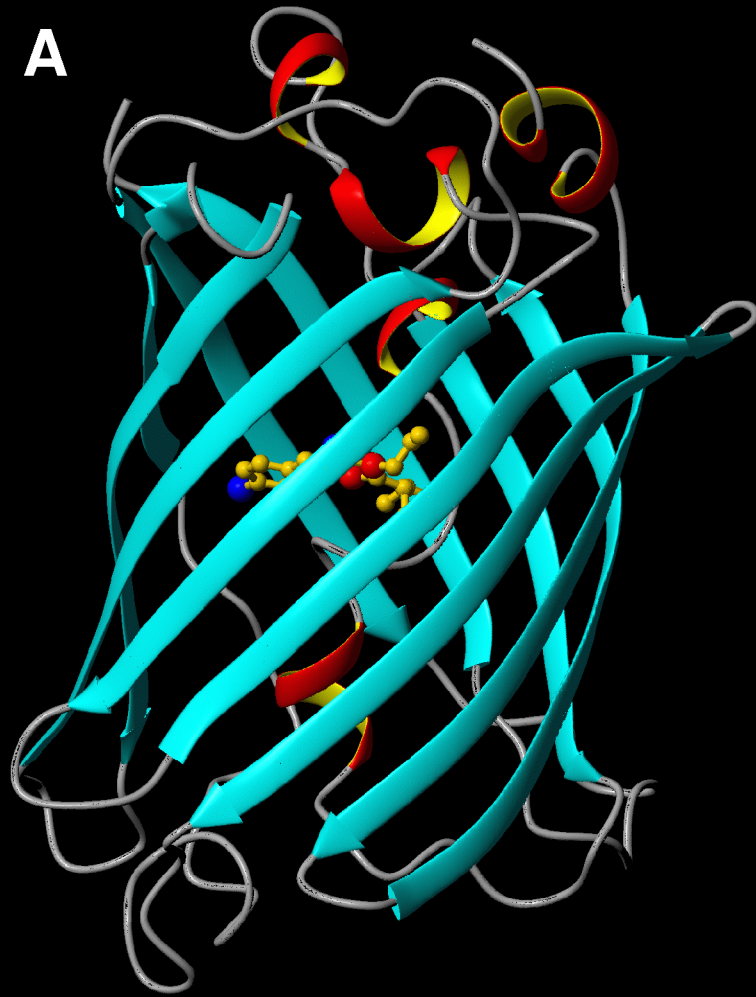
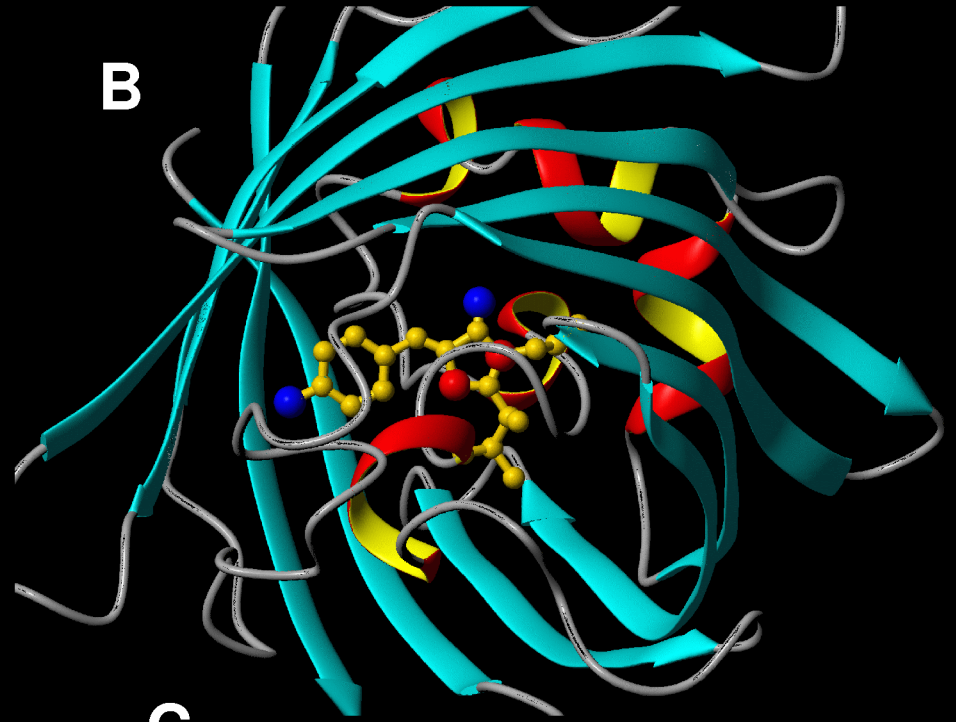
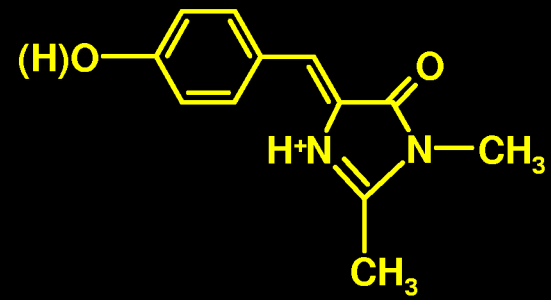
## B: Pump-repump-probe (PrPP)

The second laser pulse is resonant with an excited state absorption: *(loss of excited state signals with no effect on the bleach)*

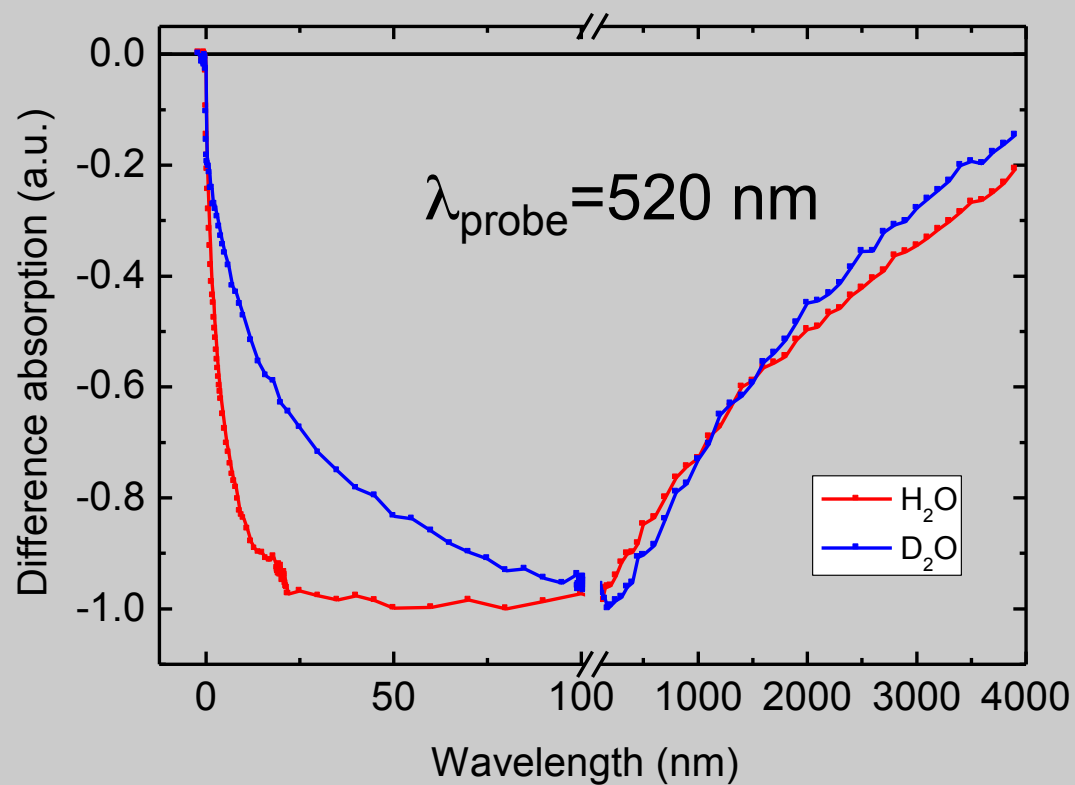
## C: Pre-pump Pump-Probe (4P) and Double Pump-Probe (PPP)

Both actinic pulses are resonant with the ground state absorption: *(pump probe on the excited state)*



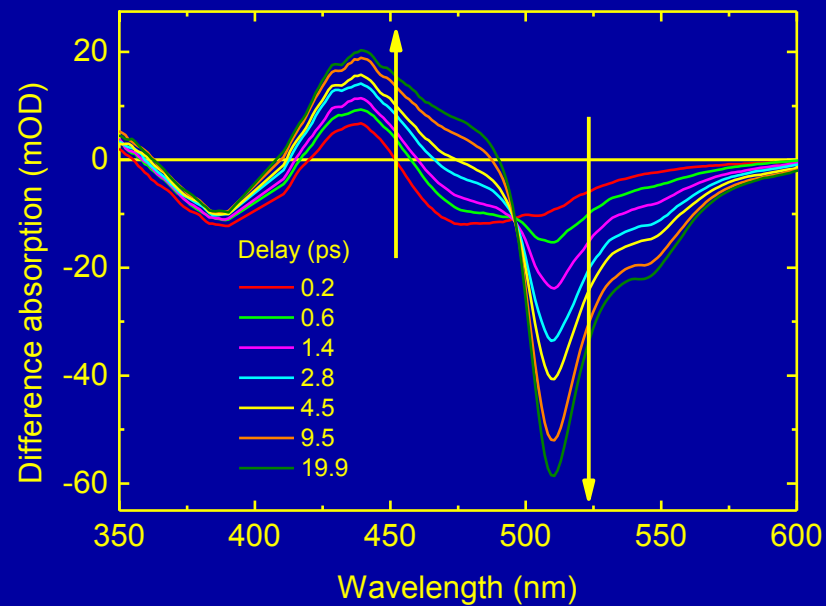
**A****B****C**

# Kinetic Isotope Effect: evidence for proton transfer

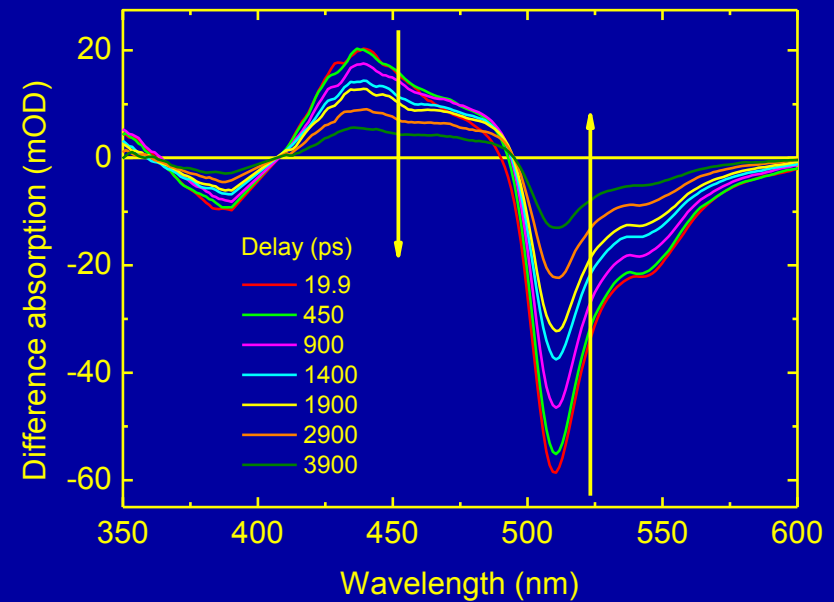


# Excited state proton transfer in GFP

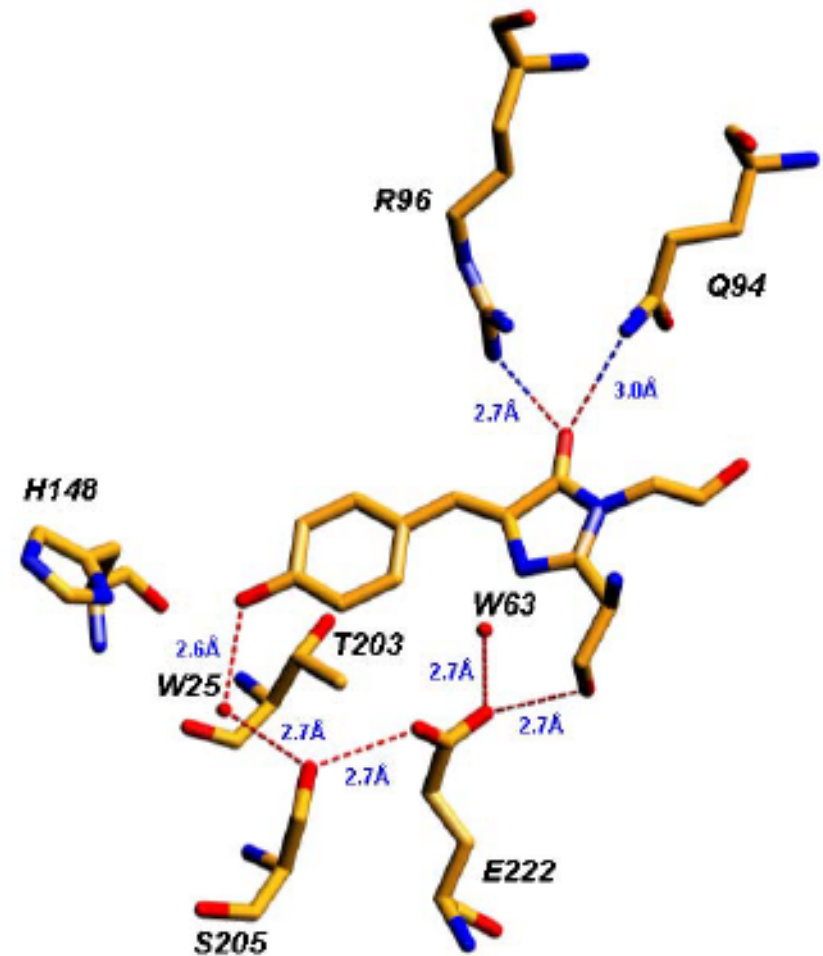
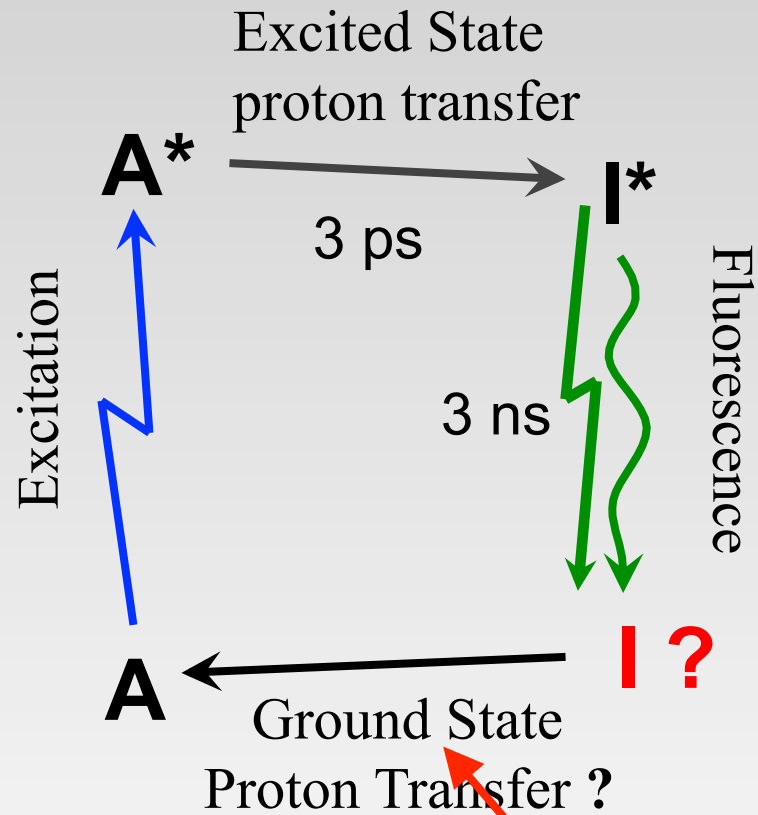
Fast timescales



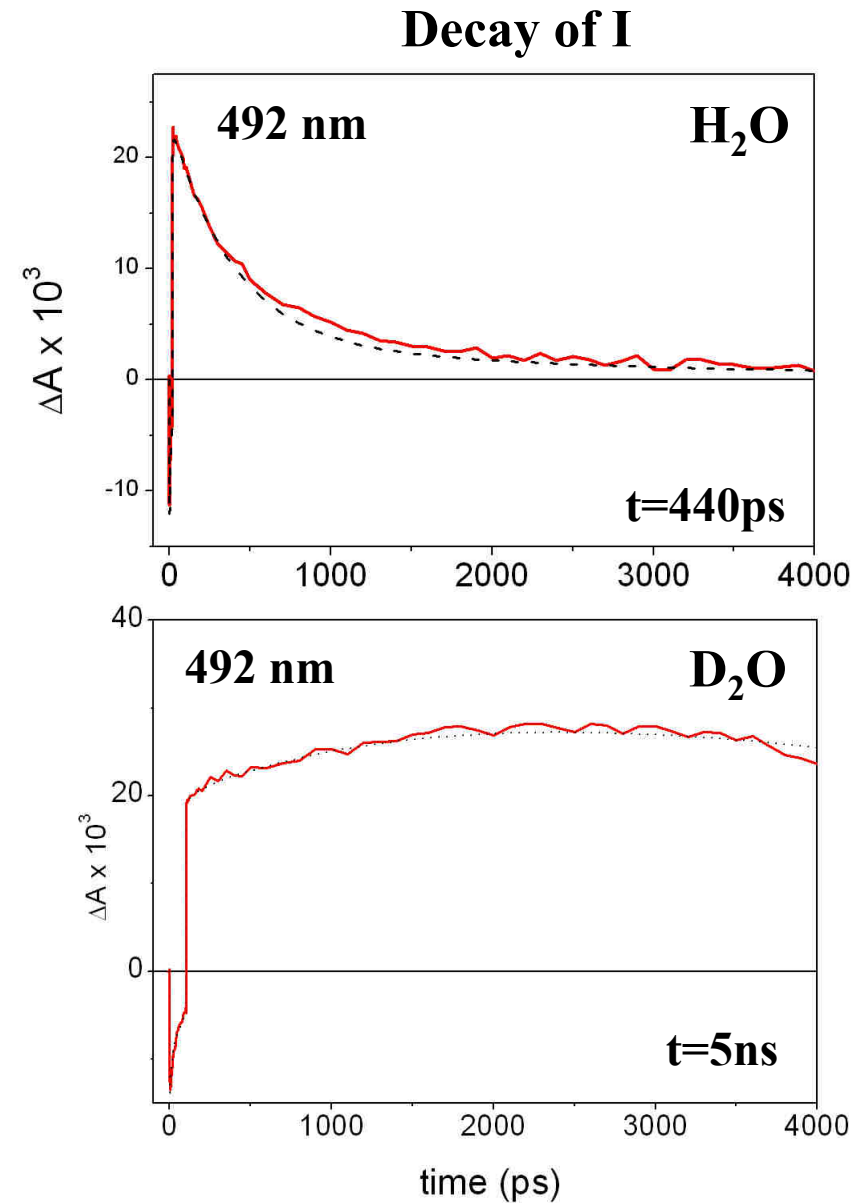
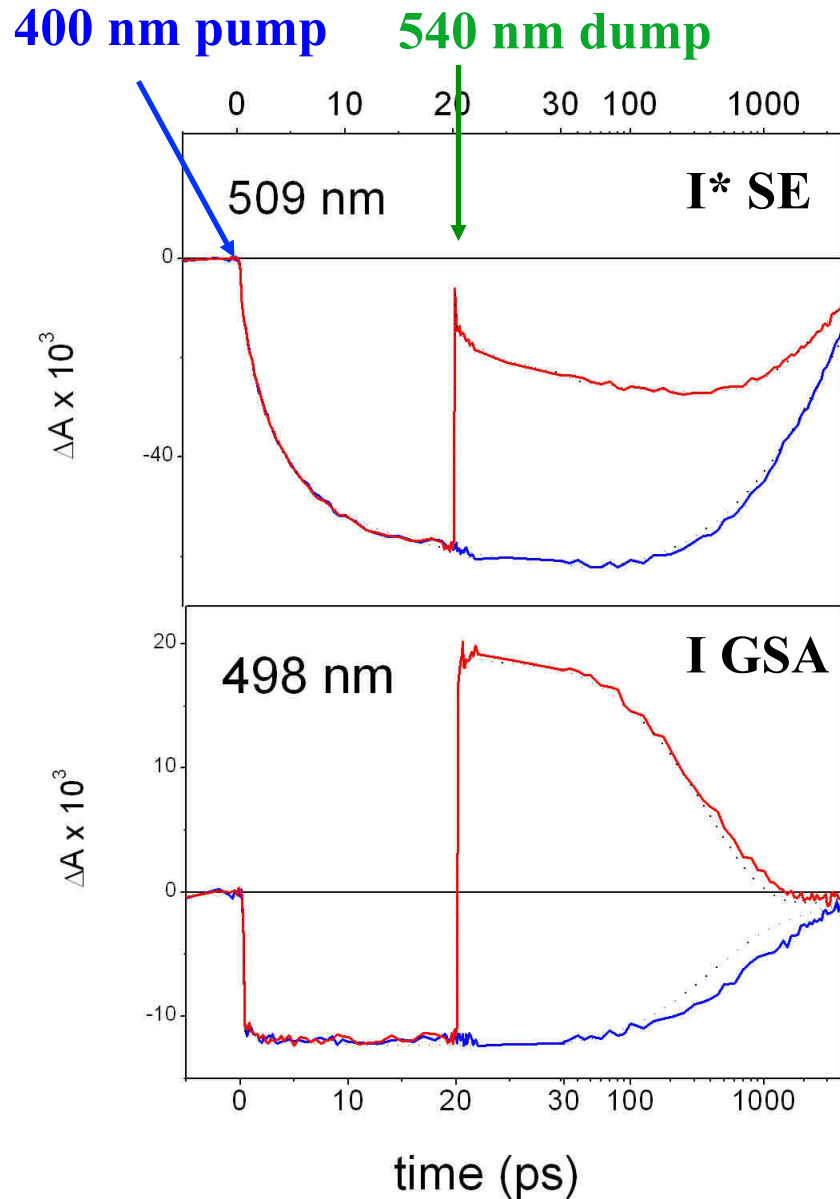
Slower timescales



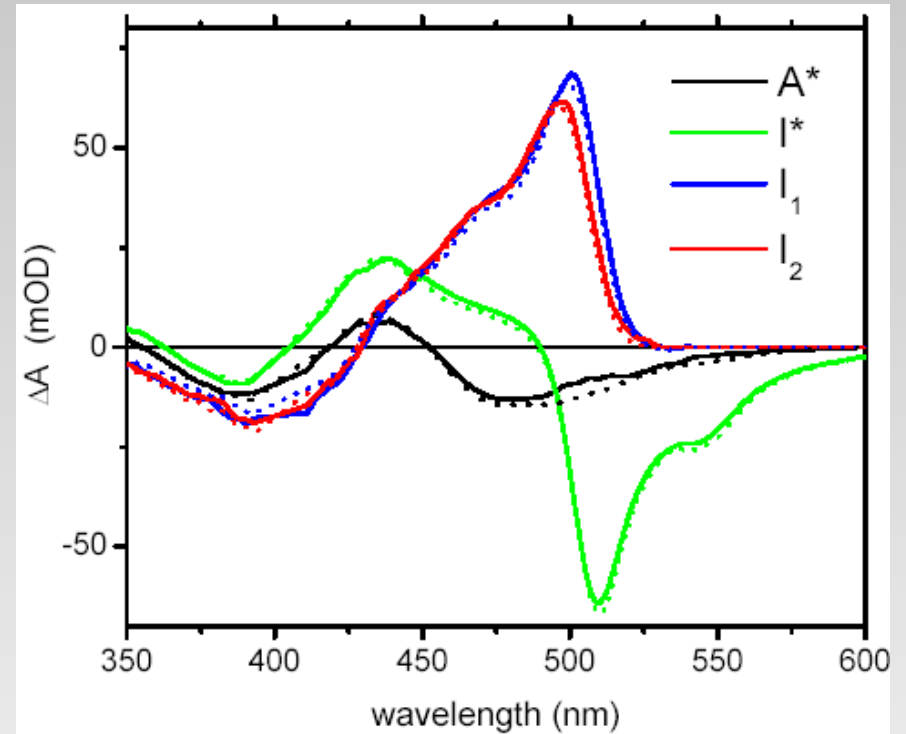
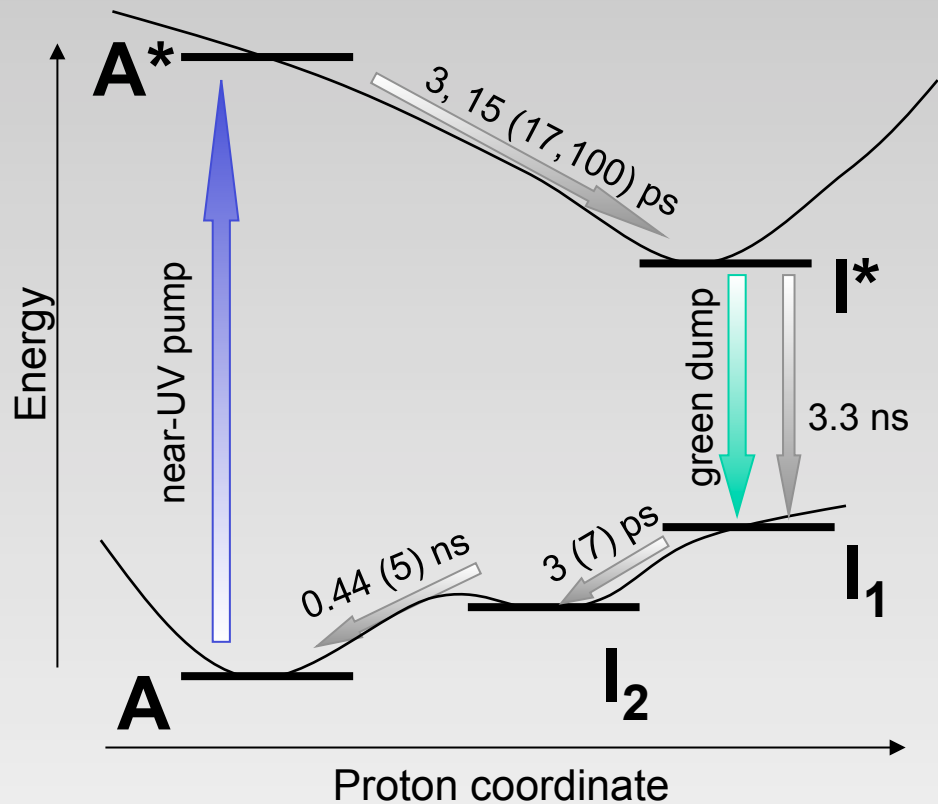
*Idea: try to dump the excited state!*



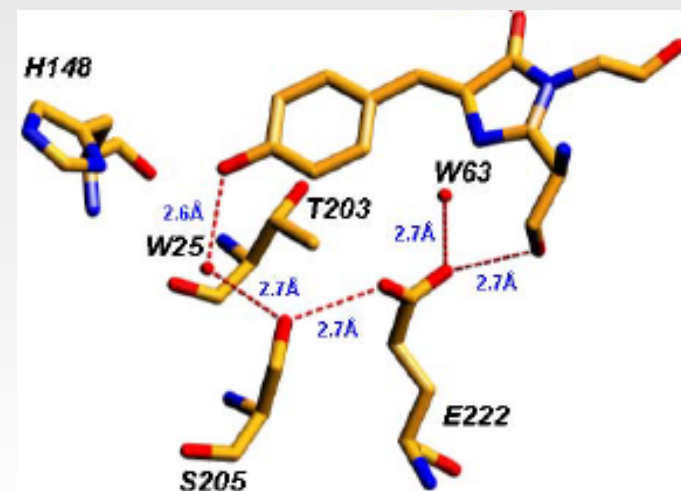
# Pump-dump-probe spectroscopy on GFP



# Spectra and lifetimes of Hidden Intermediates



- $I_1$  max: 500 nm,  $I_2$  max: 498 nm
- $I_1$  stokes shift: 9 nm
- $I_1$  to  $I_2$  evolution: H-bond rearrangement?

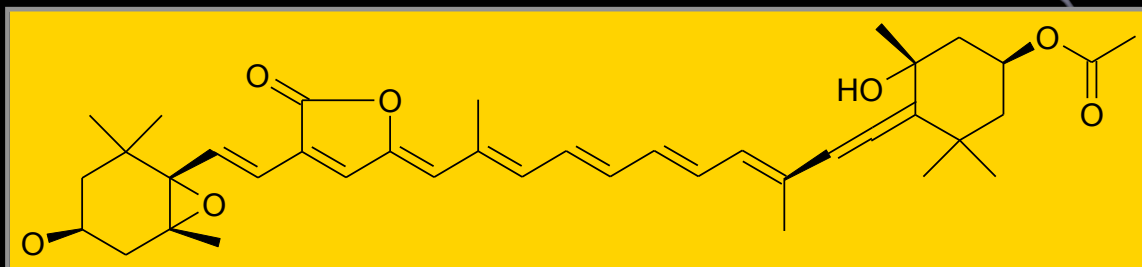
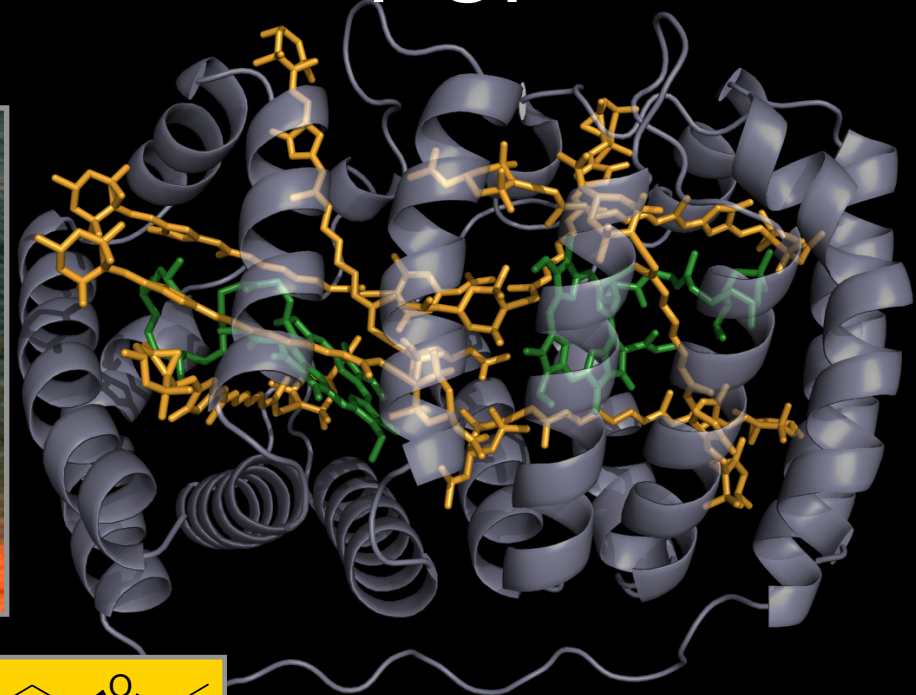


# Energy transfer in PCP: role of ICT state

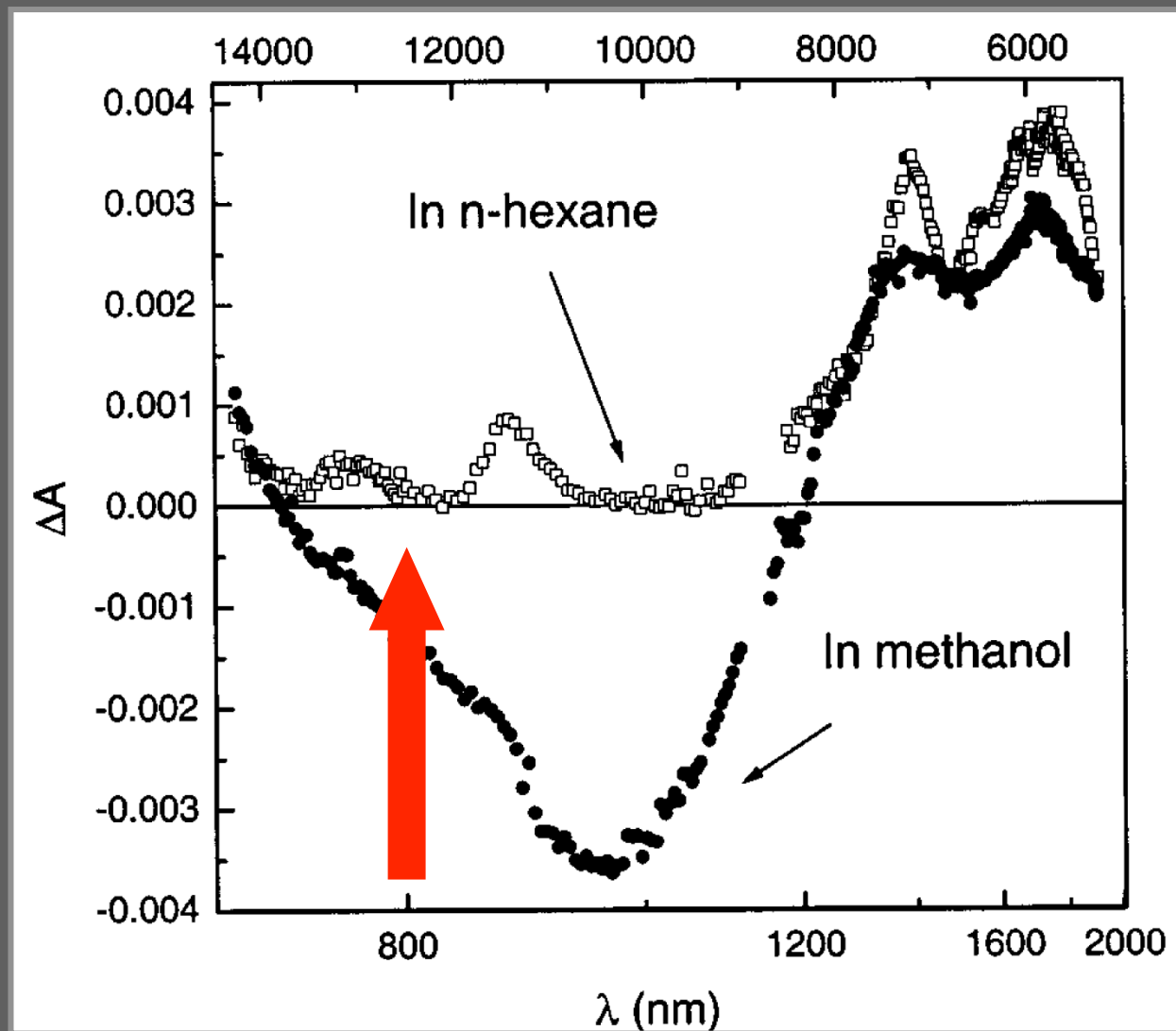
Red algae



PCP

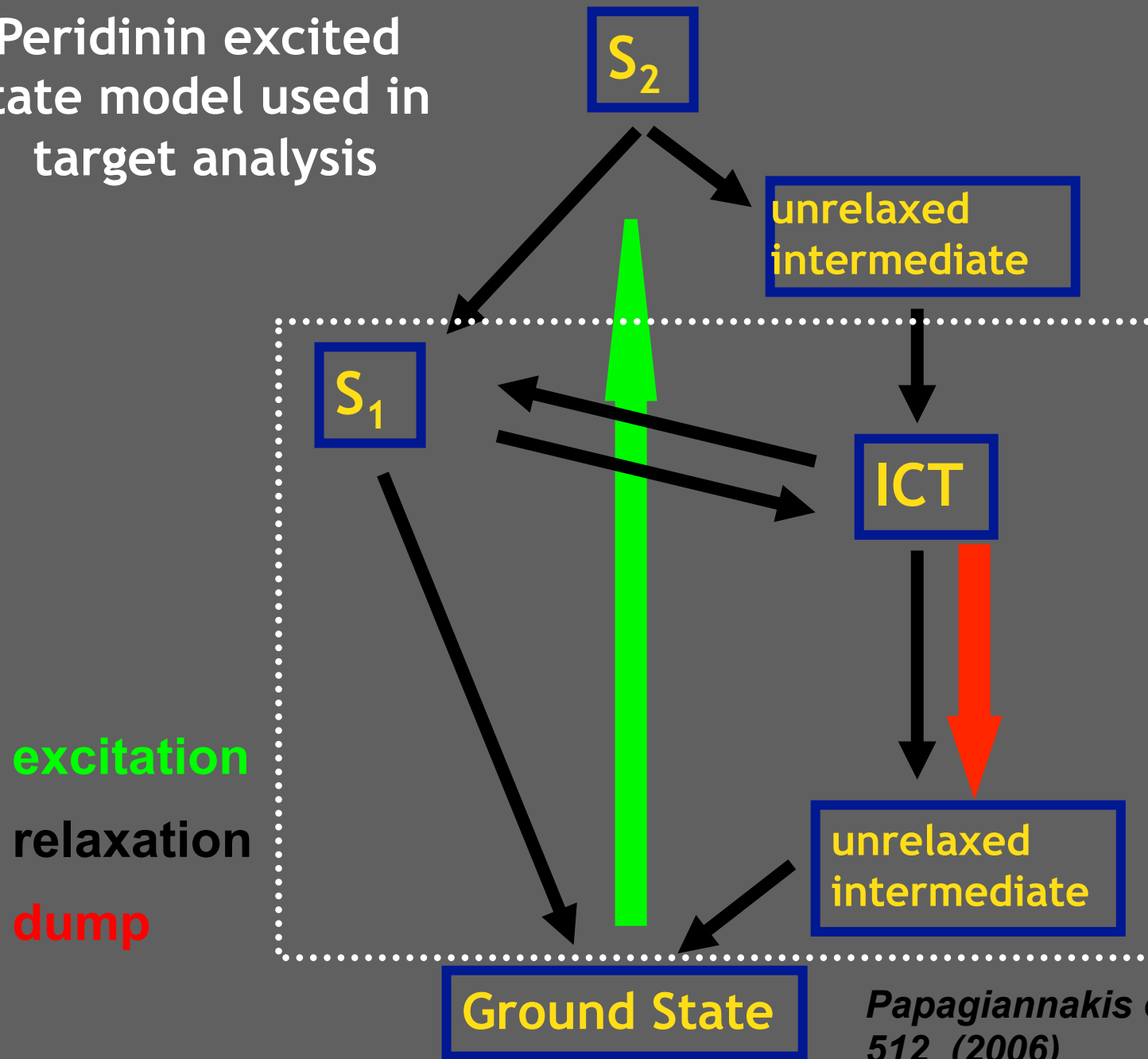


# Near-IR transient Absorption spectra of peridinin



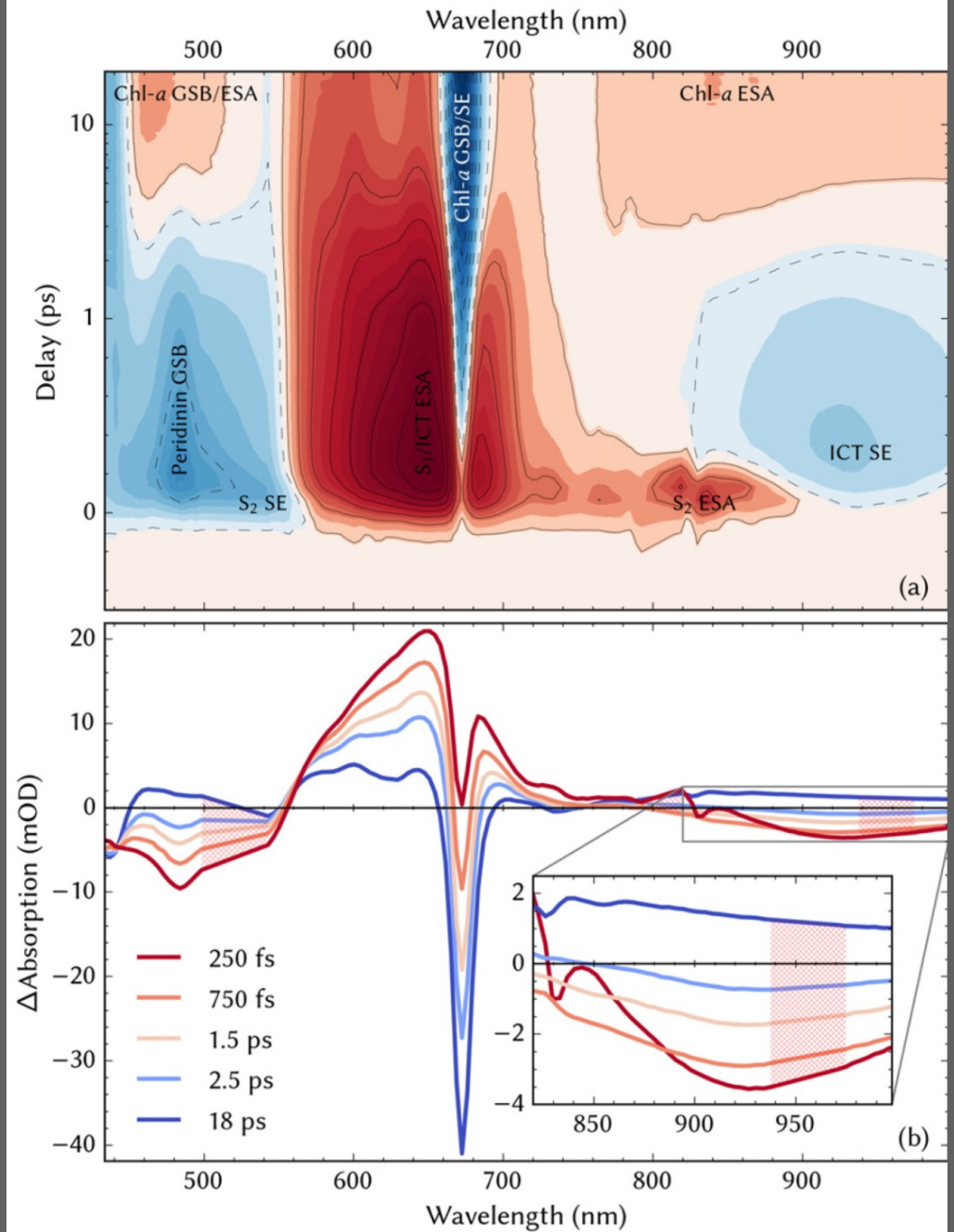


Peridinin excited state model used in target analysis

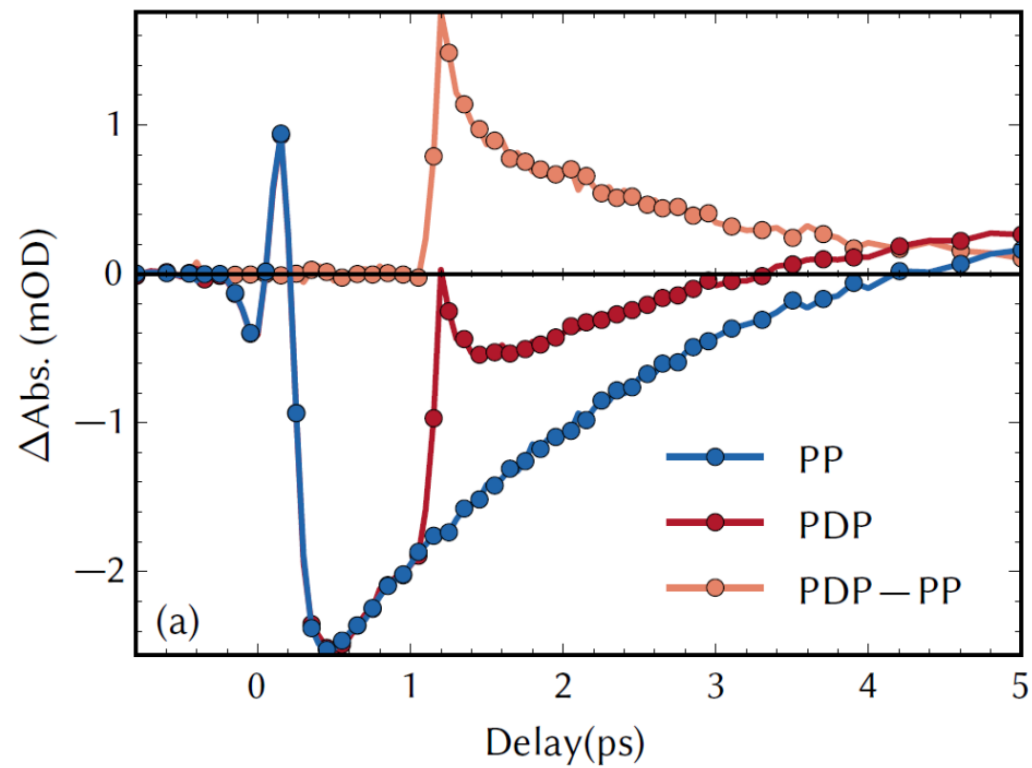
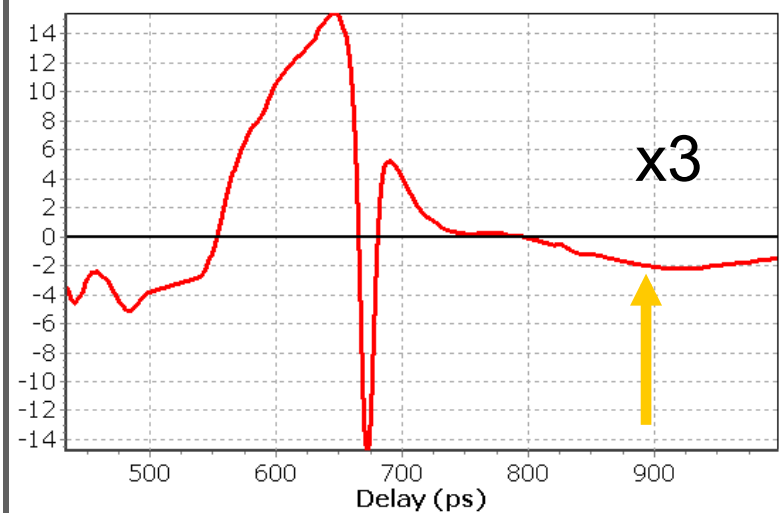


Papagiannakis et al., JPCB, 110, 512 (2006)

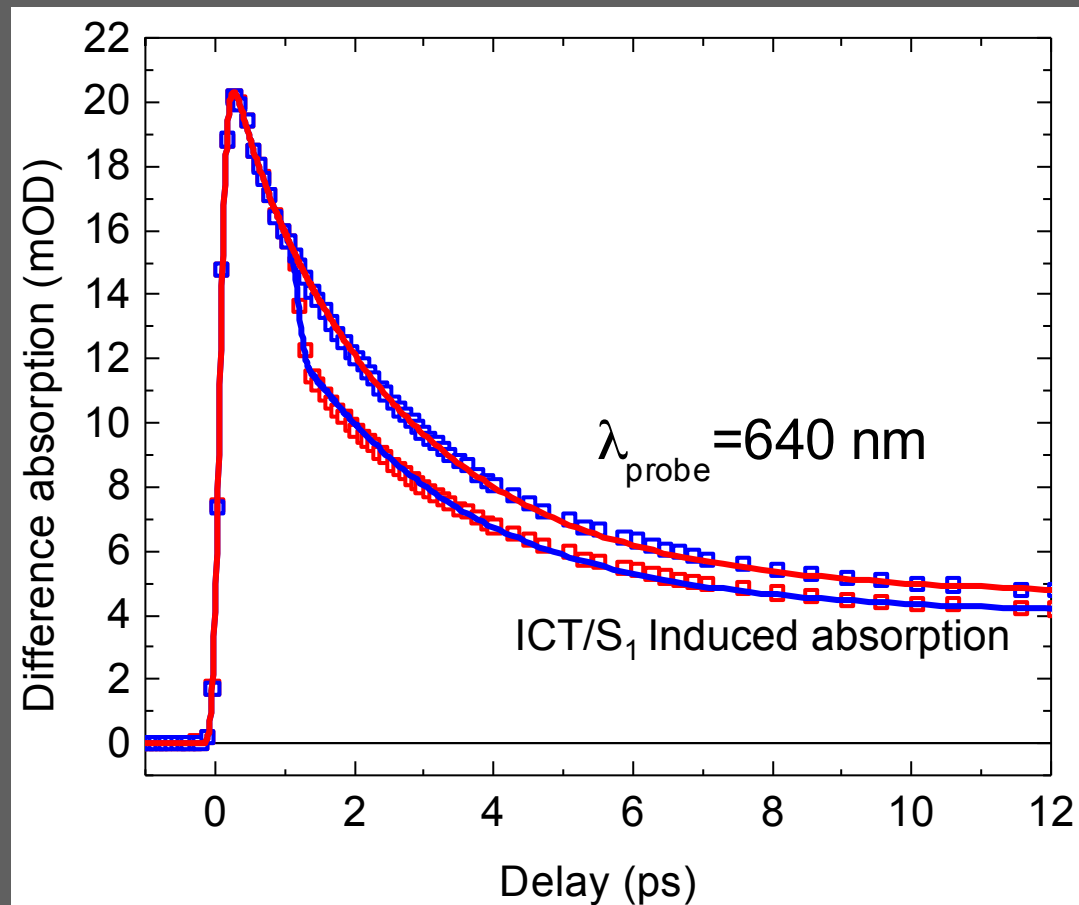
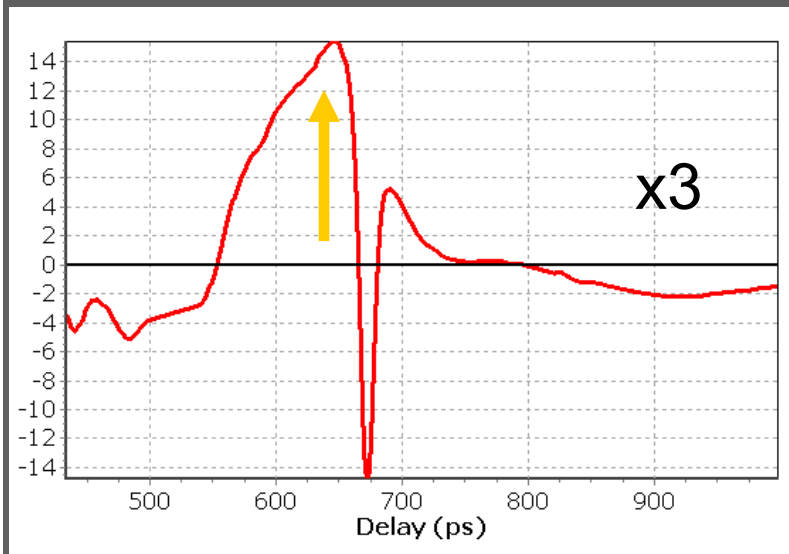
PCP Data: pump at 520 nm  
probe 440-1000 nm, dump  
950 nm



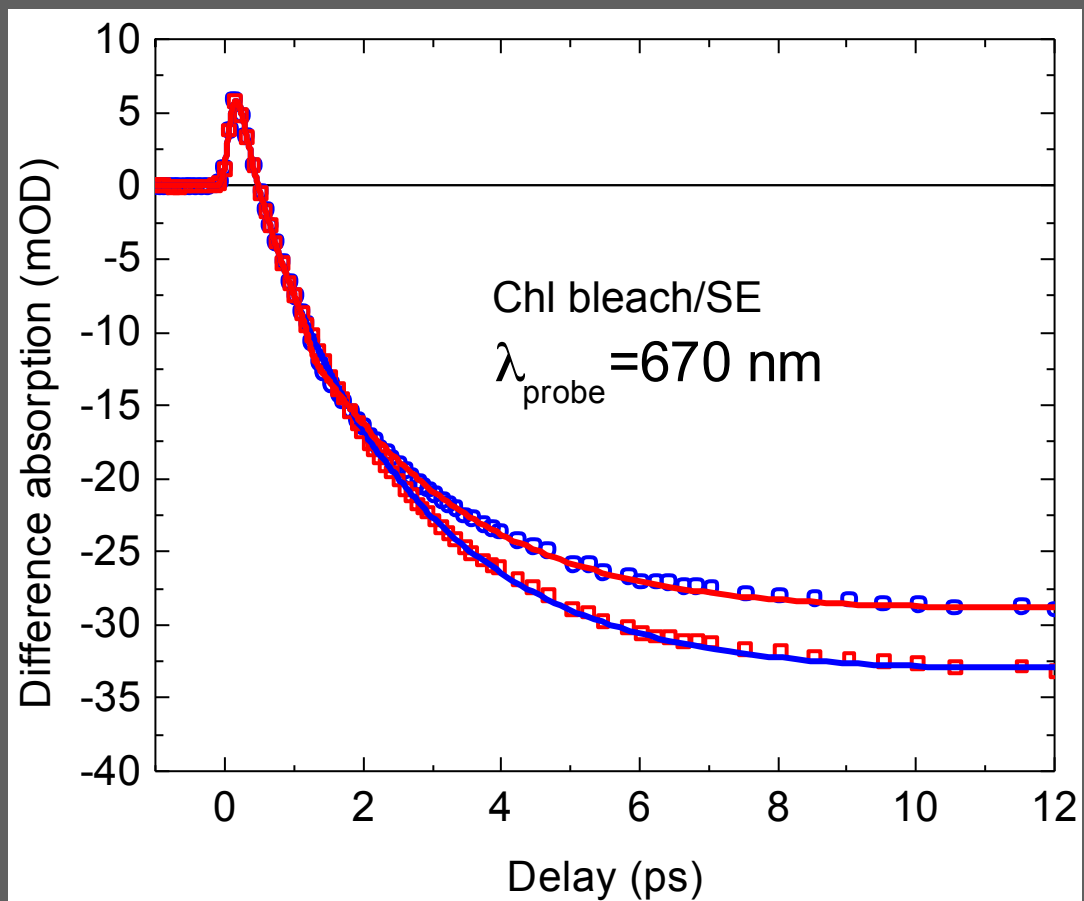
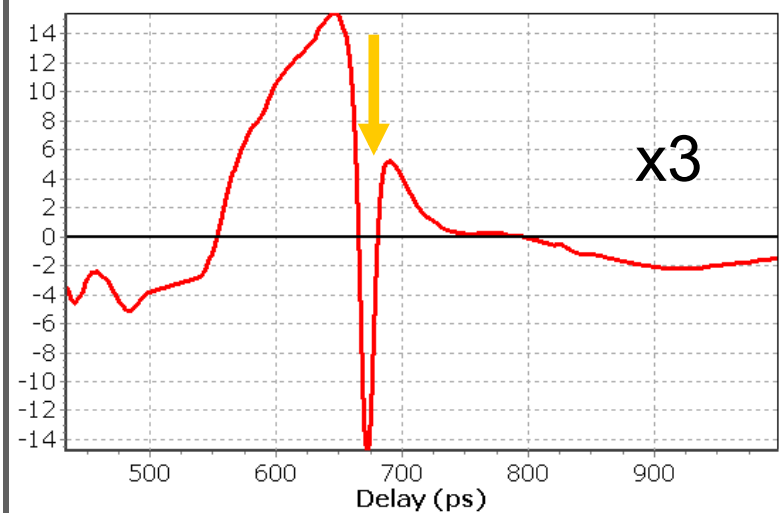
# Dump effects at different wavelengths



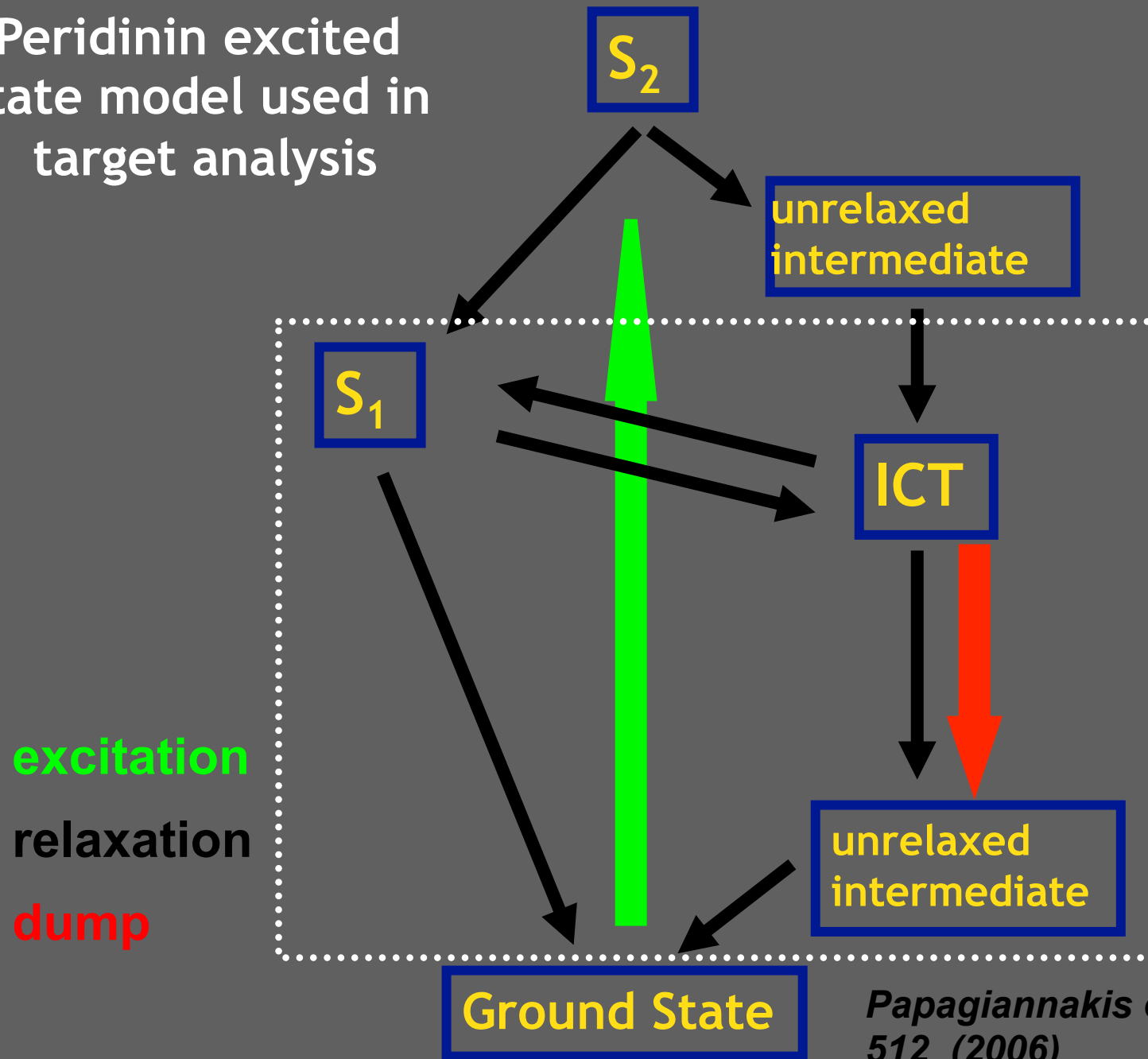
# Dump effects at different wavelengths



# Dump effects at different wavelengths

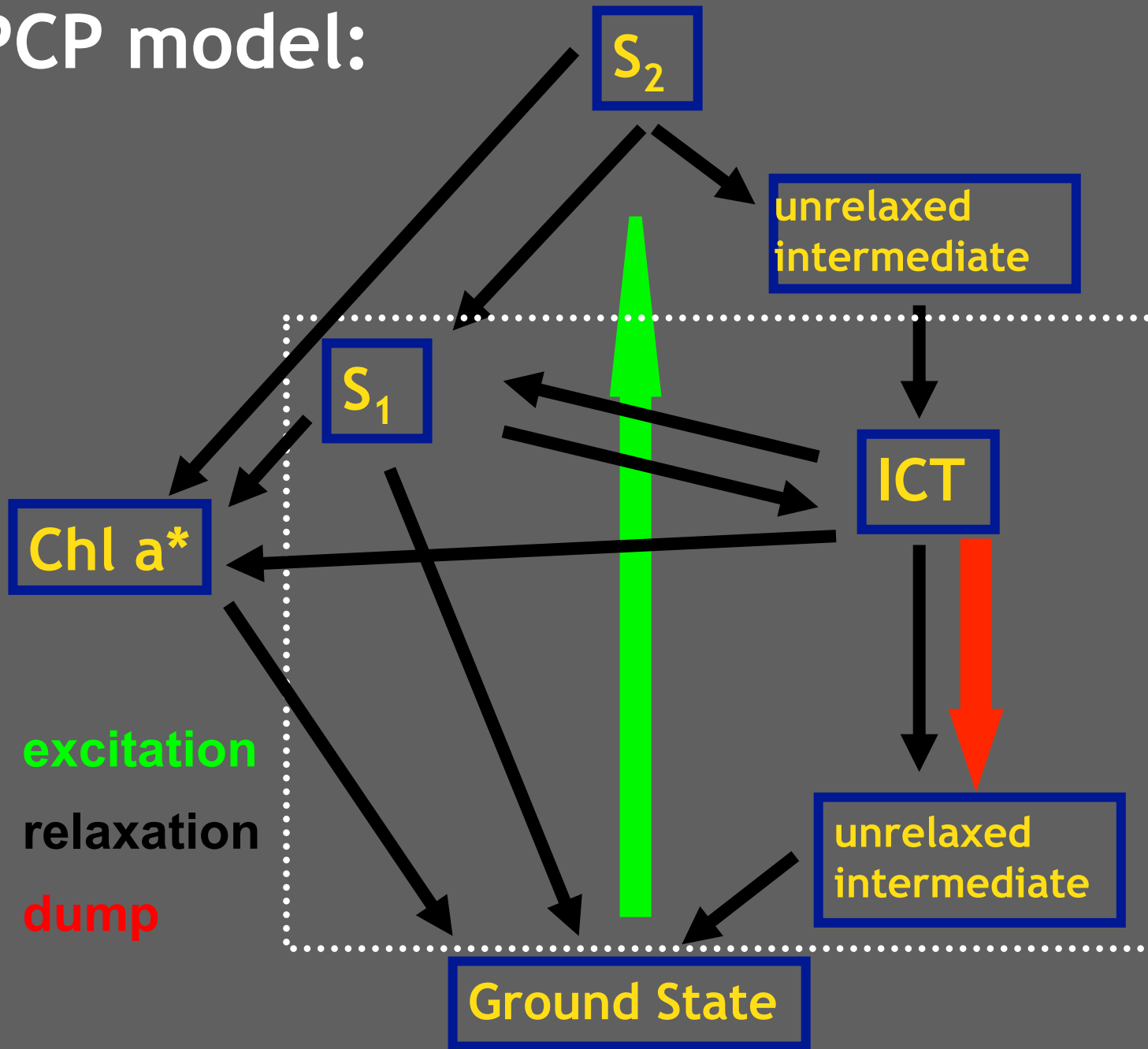


Peridinin excited state model used in target analysis

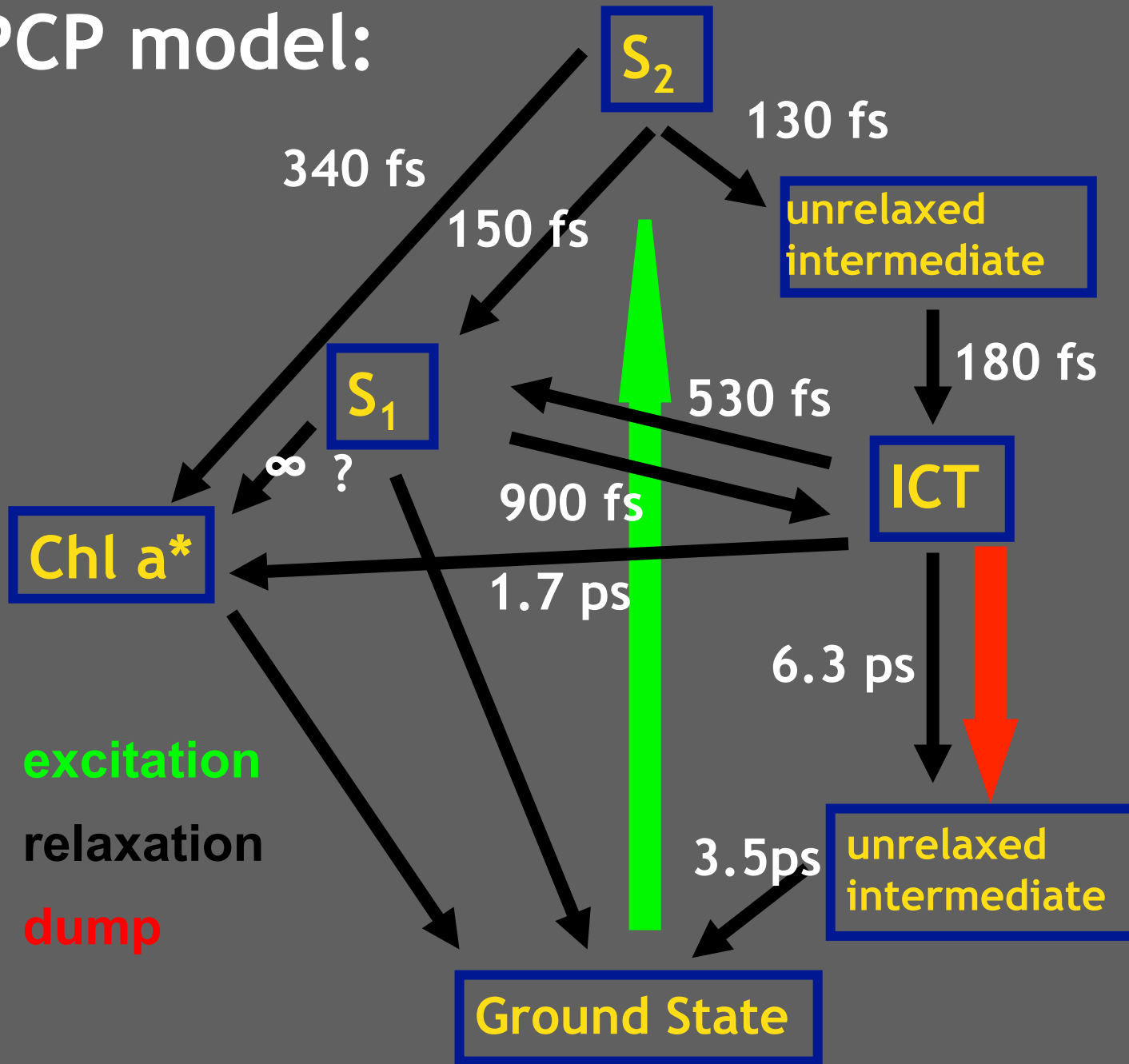


Papagiannakis et al., JPCB, 110, 512 (2006)

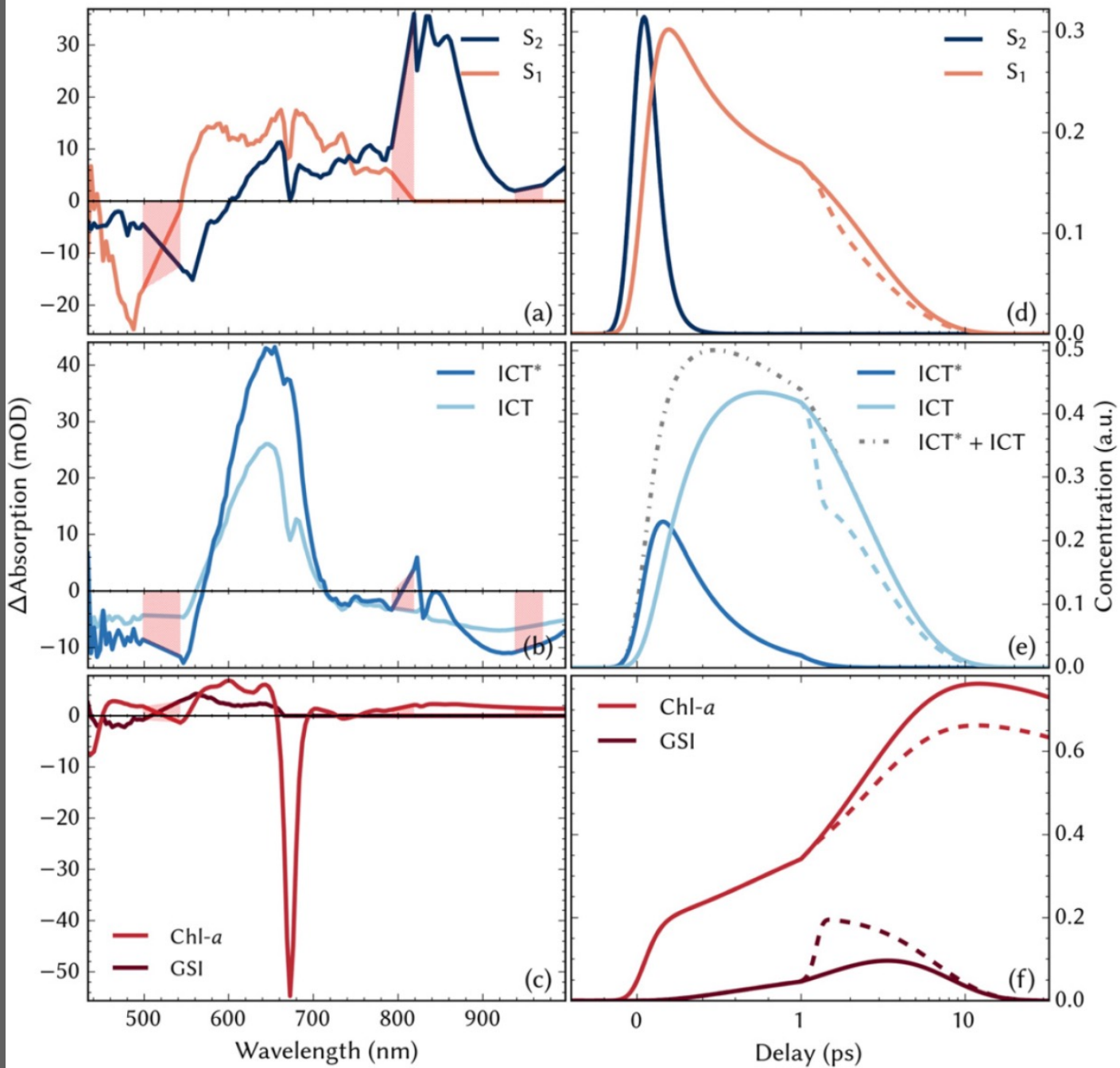
# PCP model:



# PCP model:

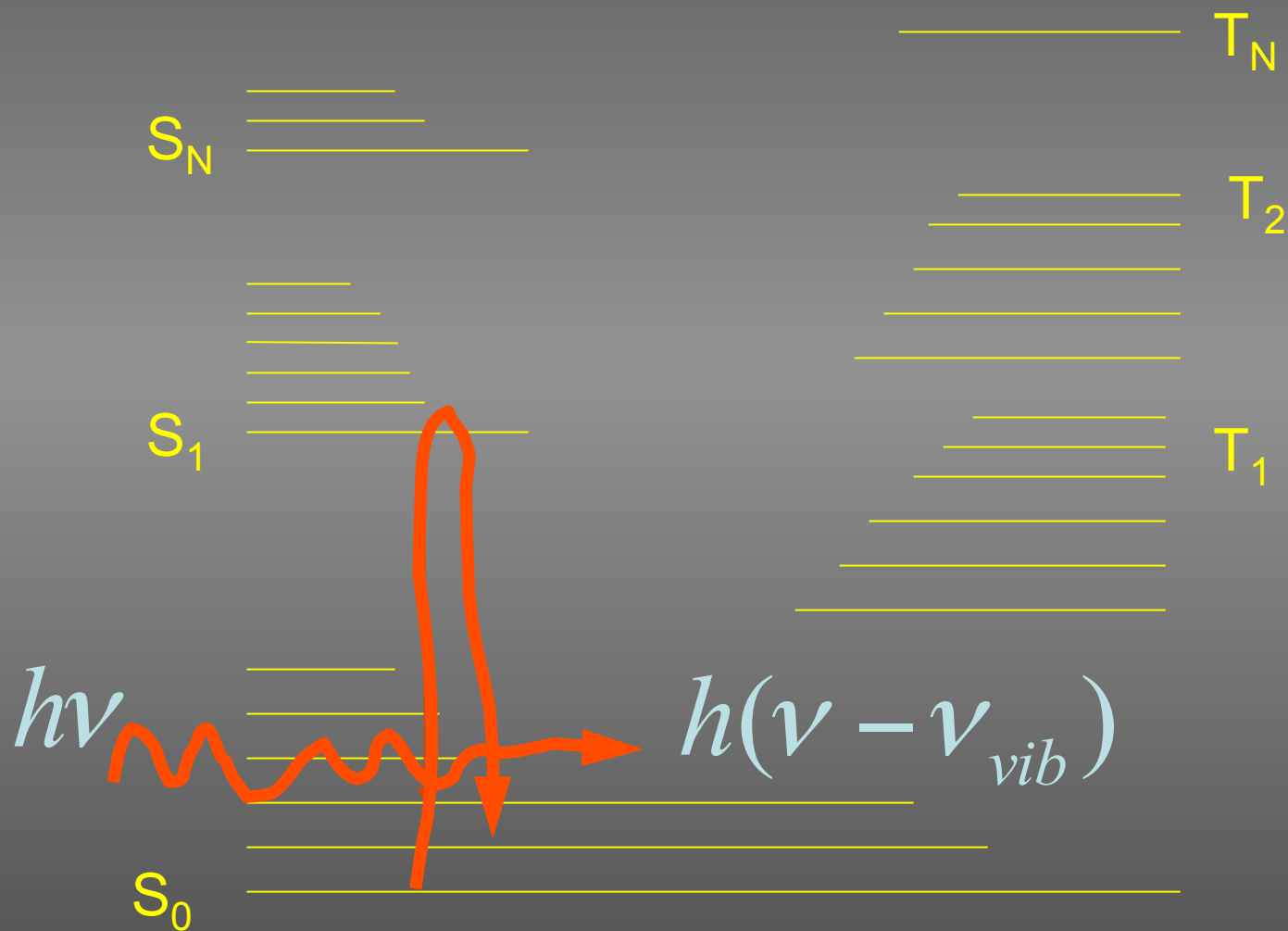






Twist #2: Femtosecond stimulated  
Raman spectroscopy (FSRS)

# Raman scattering

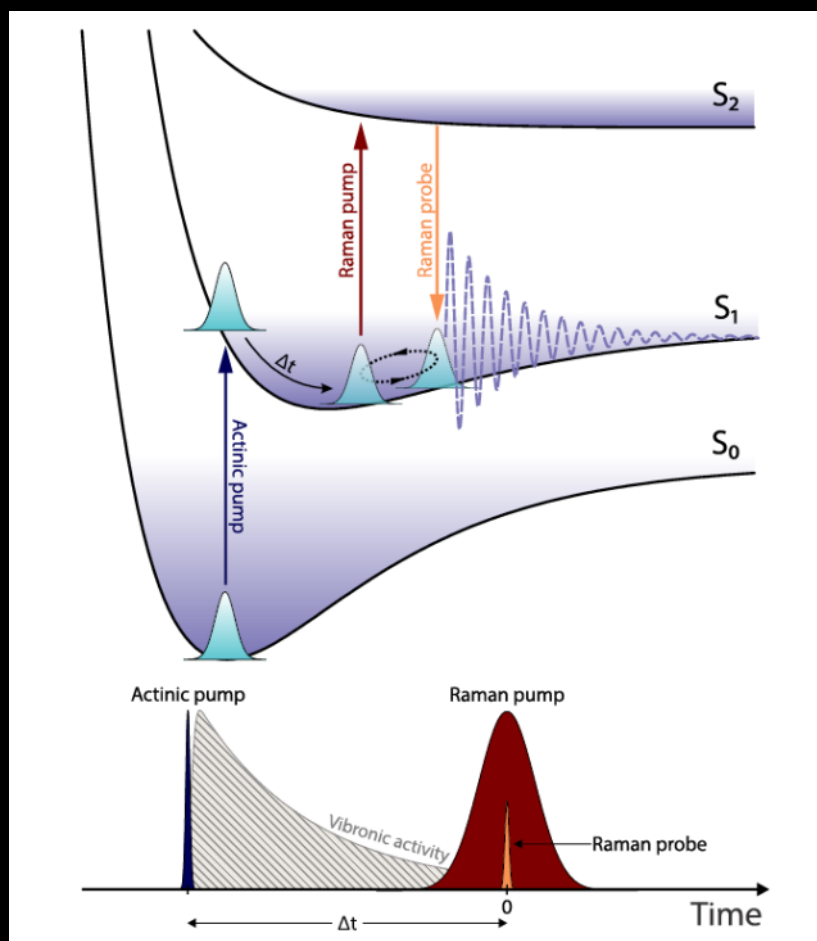


## Twist #2: Femtosecond stimulated Raman spectroscopy (FSRS)

---

- Playing around with electronic states is all good and well, however, the underlying structural changes are mostly guesswork.
- Raman spectroscopy is measuring vibrational frequencies, therefore it is directly sensitive to conformational changes in molecules.
- However, to resolve narrow vibrational lines require narrow Raman Pump spectra (poor time resolution  $\sim 3$  ps).
- Enter FSRS.

# Twist #2: Femtosecond stimulated Raman spectroscopy (FSRS)

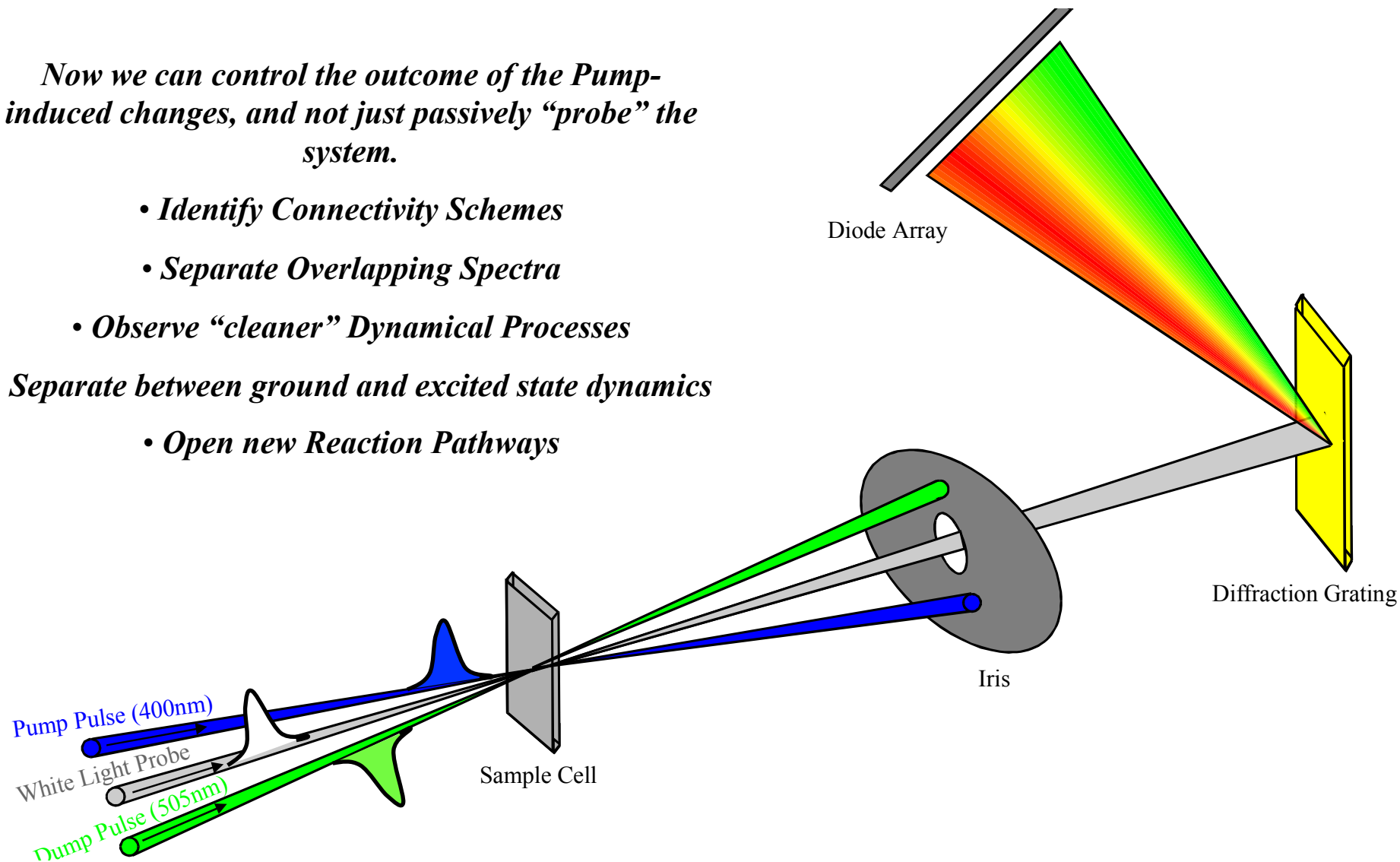


Pump-probe with a pair of probe pulses: one long (for narrow spectrum and good spectral resolution), and one short (for femtosecond time resolution).

# *Dispersed Multi-Pulse Experimental Setup*

*Now we can control the outcome of the Pump-induced changes, and not just passively “probe” the system.*

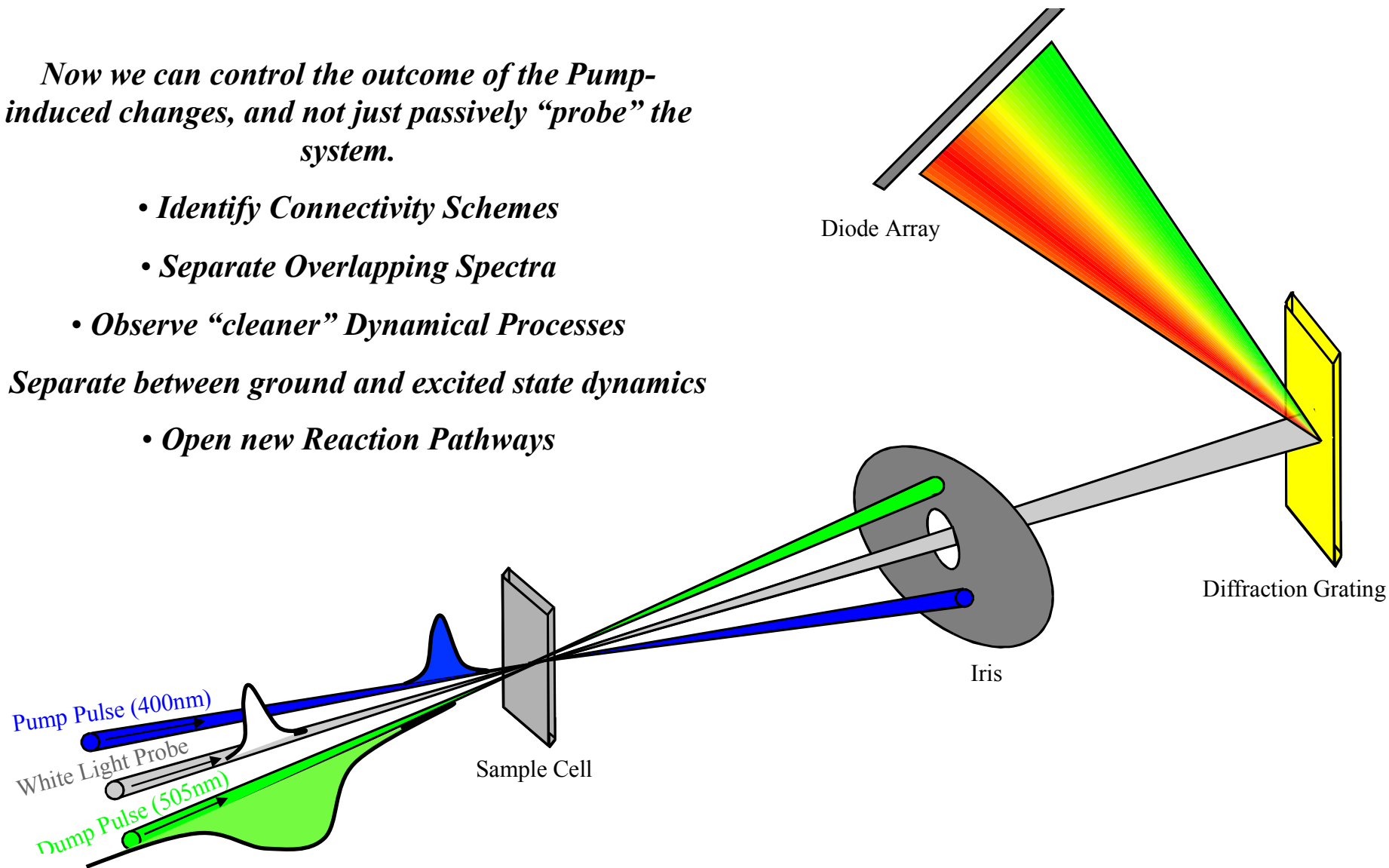
- *Identify Connectivity Schemes*
- *Separate Overlapping Spectra*
- *Observe “cleaner” Dynamical Processes*
- *Separate between ground and excited state dynamics*
- *Open new Reaction Pathways*



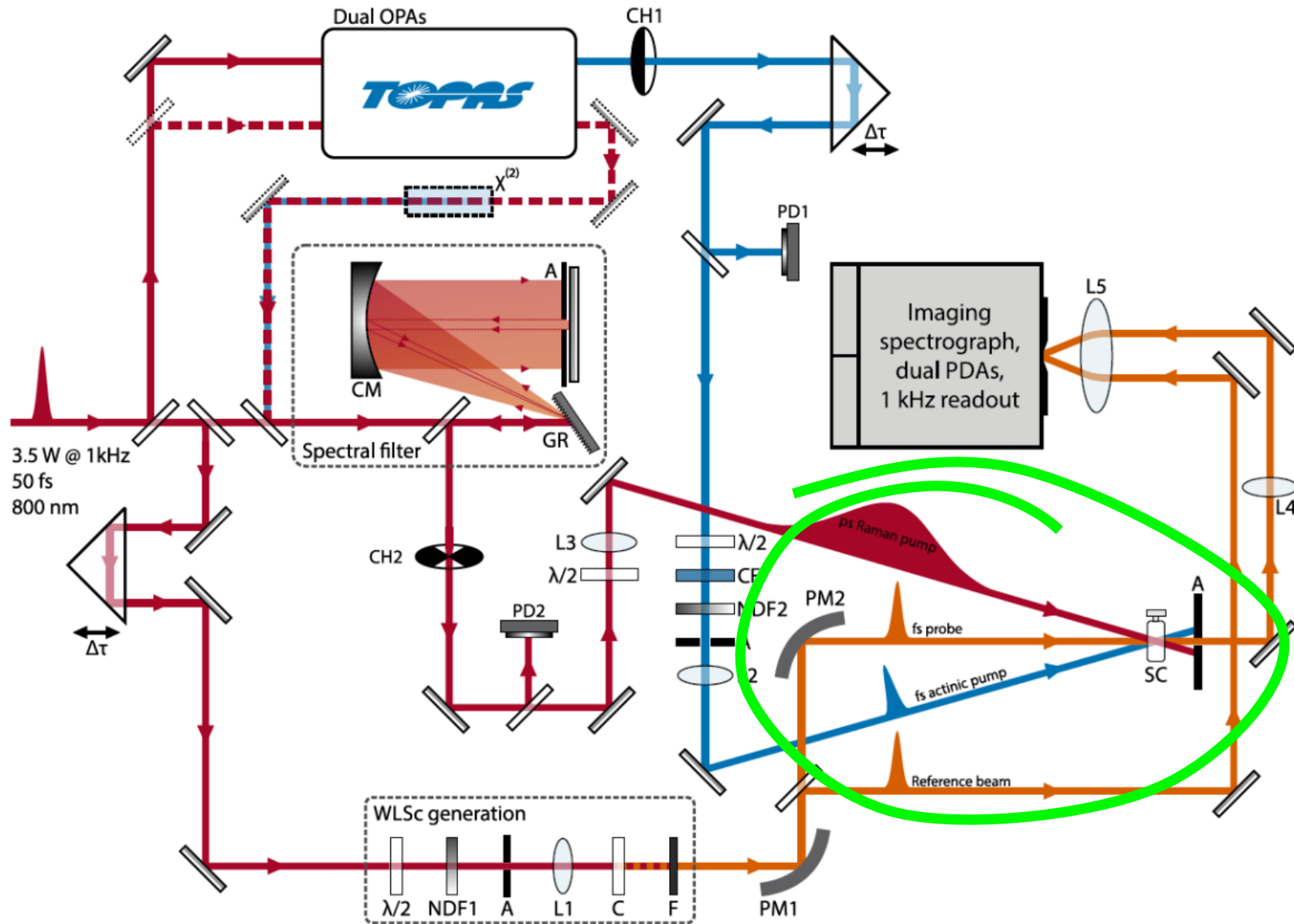
# *Dispersed Multi-Pulse Experimental Setup*

*Now we can control the outcome of the Pump-induced changes, and not just passively “probe” the system.*

- *Identify Connectivity Schemes*
- *Separate Overlapping Spectra*
- *Observe “cleaner” Dynamical Processes*
- *Separate between ground and excited state dynamics*
- *Open new Reaction Pathways*

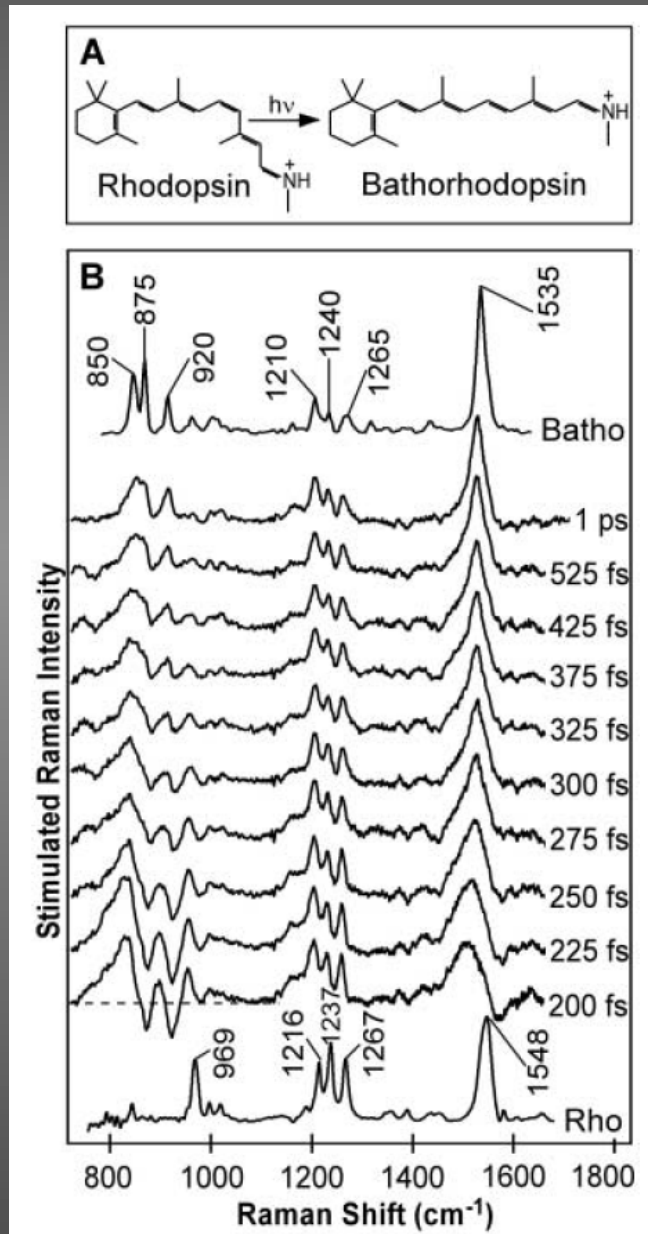


# Setup for FSRS

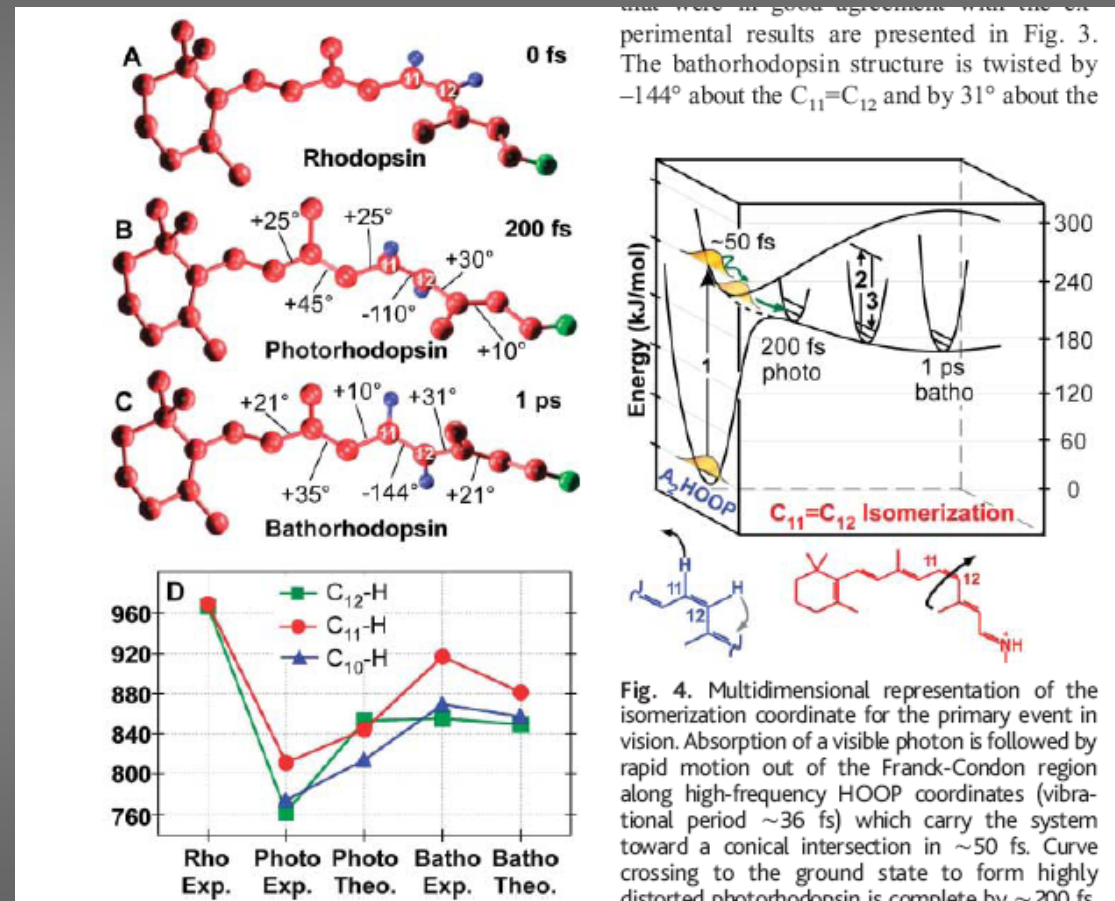




# Rhodopsin: vibrational signatures of isomerization



## isomerization

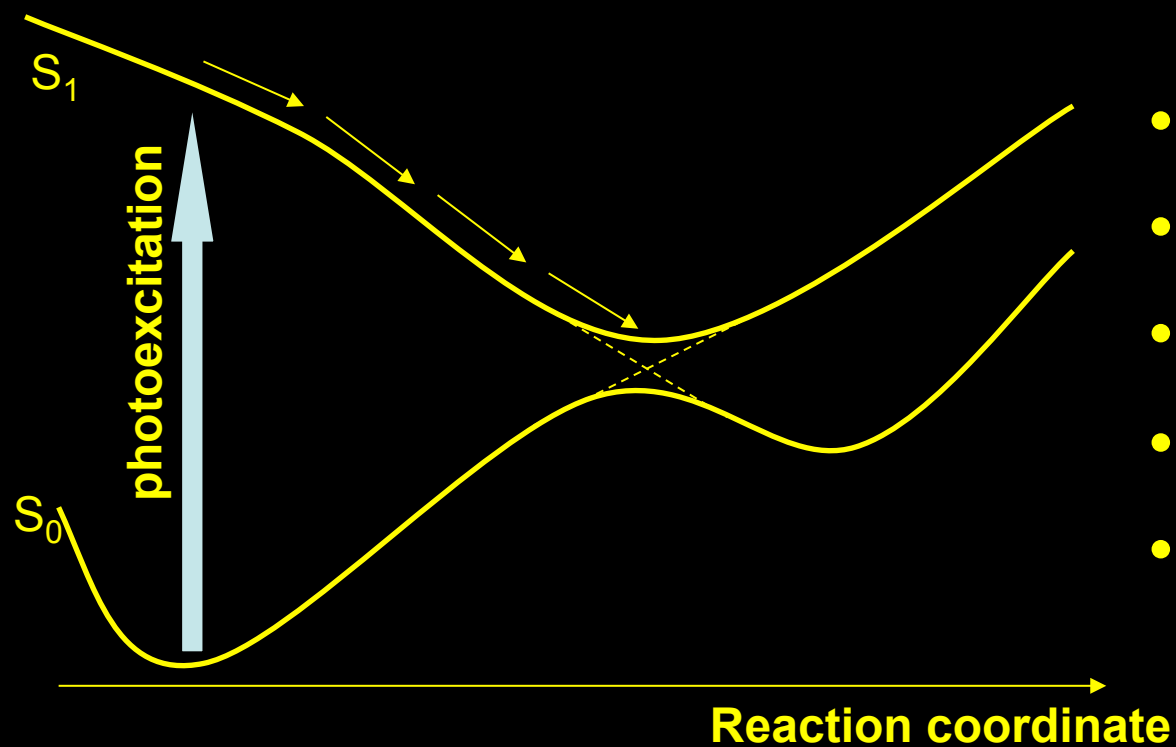


*Kukura et al. Science 2005*

Application: photochromism of  
indolo-benzoxazines

(spoiler alert: it's non-existent)

# Bistable ground-state: sensitive to everything



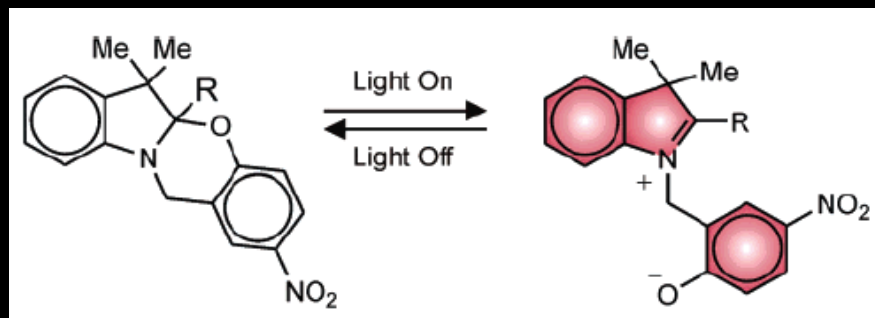
- Solvatochromism
- Electrochromism
- Acidochromism
- Thermochromism
- etc.

# Indolo-benzoxazines: new generation photochromic switches

Tomasulo, M.; Sortino, S.; Raymo, F. i. M. *Organic Letters* **2005**, 7, 1109.

Tomasulo, M.; Sortino, S.; White, A. J. P.; Raymo, F. M. *Journal of Organic Chemistry* **2005**, 70, 8180. and at least 10 more papers on the same subject

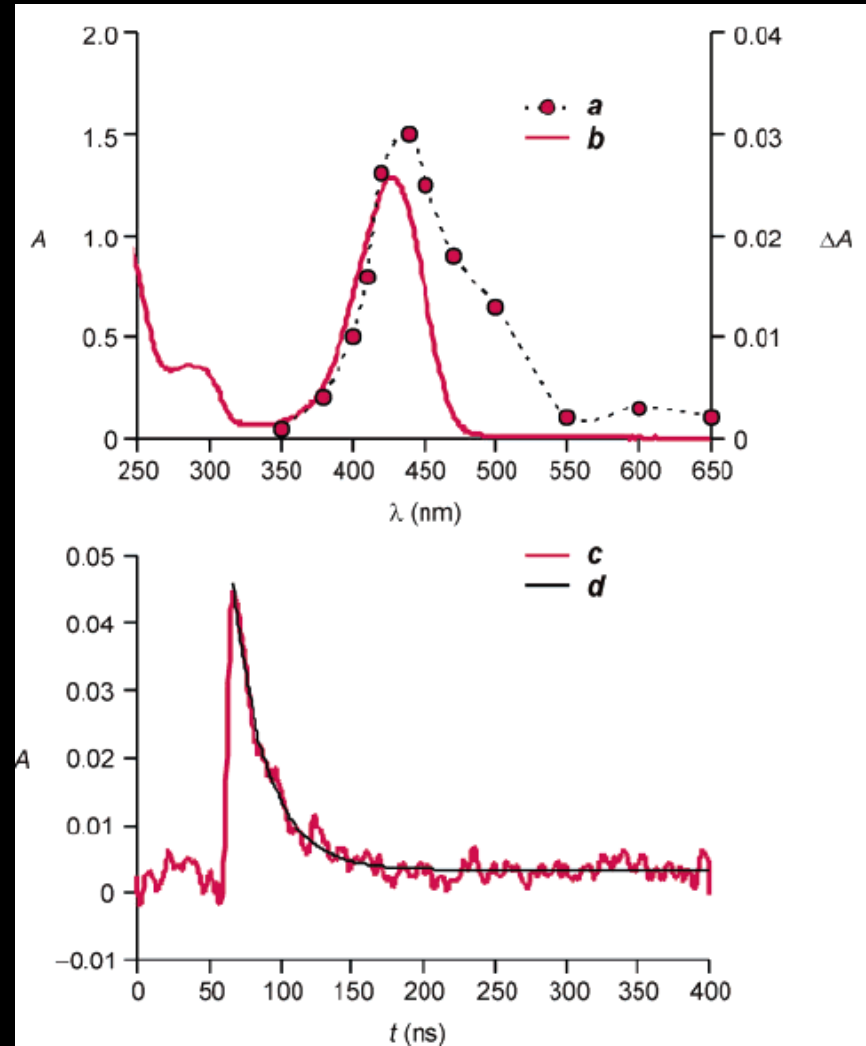
Shachkus, A. A.; Degutis, J. A.; Urbonavichyus, A. G. *Khim. Geterotsykl. Soed.* **1989**, 5, 672.



- Structure similar to spiropyrans;
- No triplet state – stable in aerobic conditions
- Fast thermal recyclization (25 ns)

# Indolo-benzoxazines: ns photodynamics

Photoinduced absorption spectrum similar to that induced by the addition of strong base ( $\text{Bu}_4\text{NOH}$ )



# Photochromism of indolo-benzoxazines

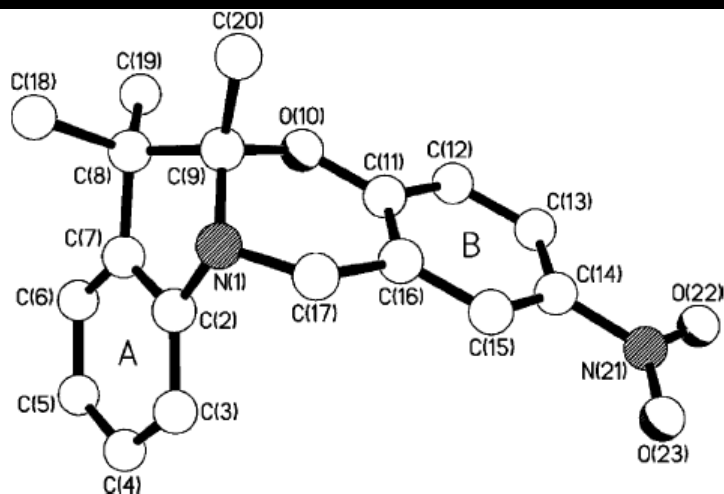
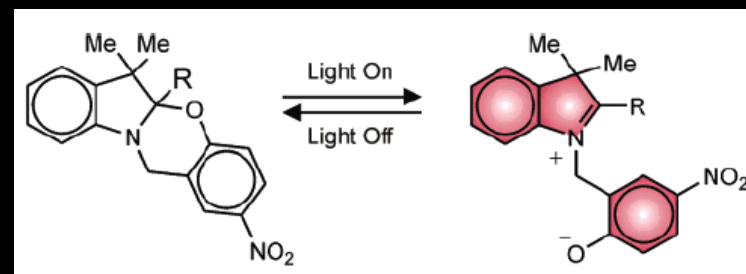


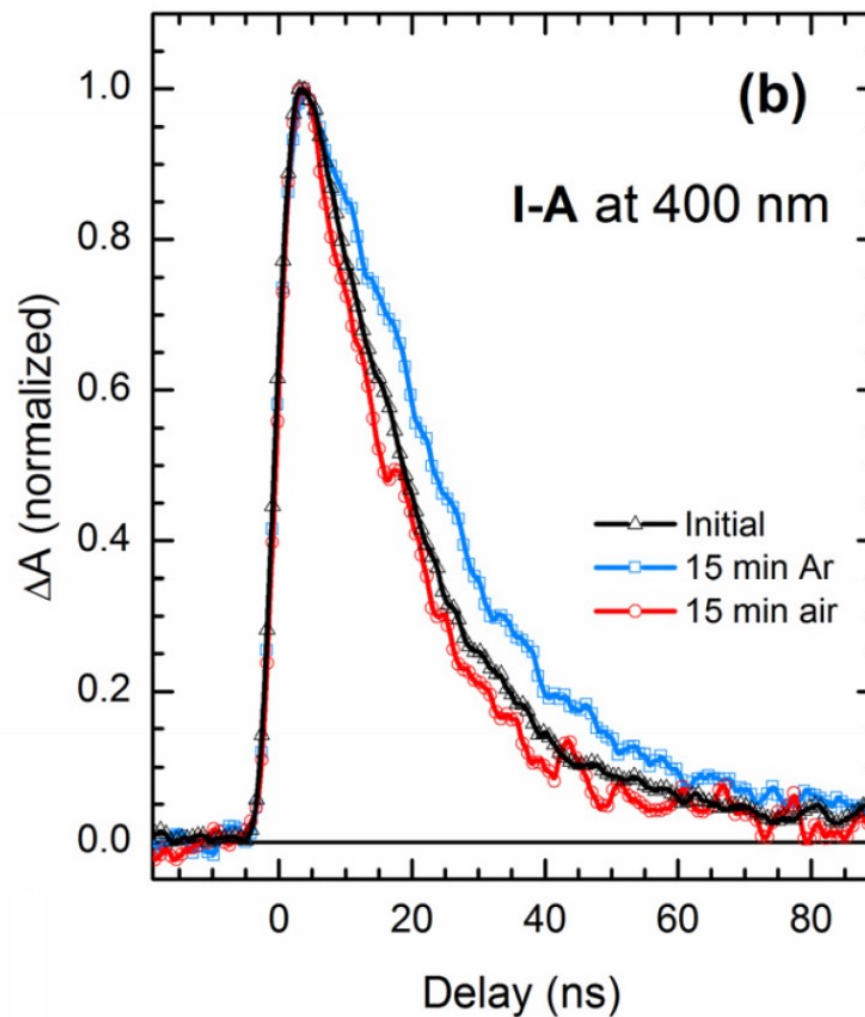
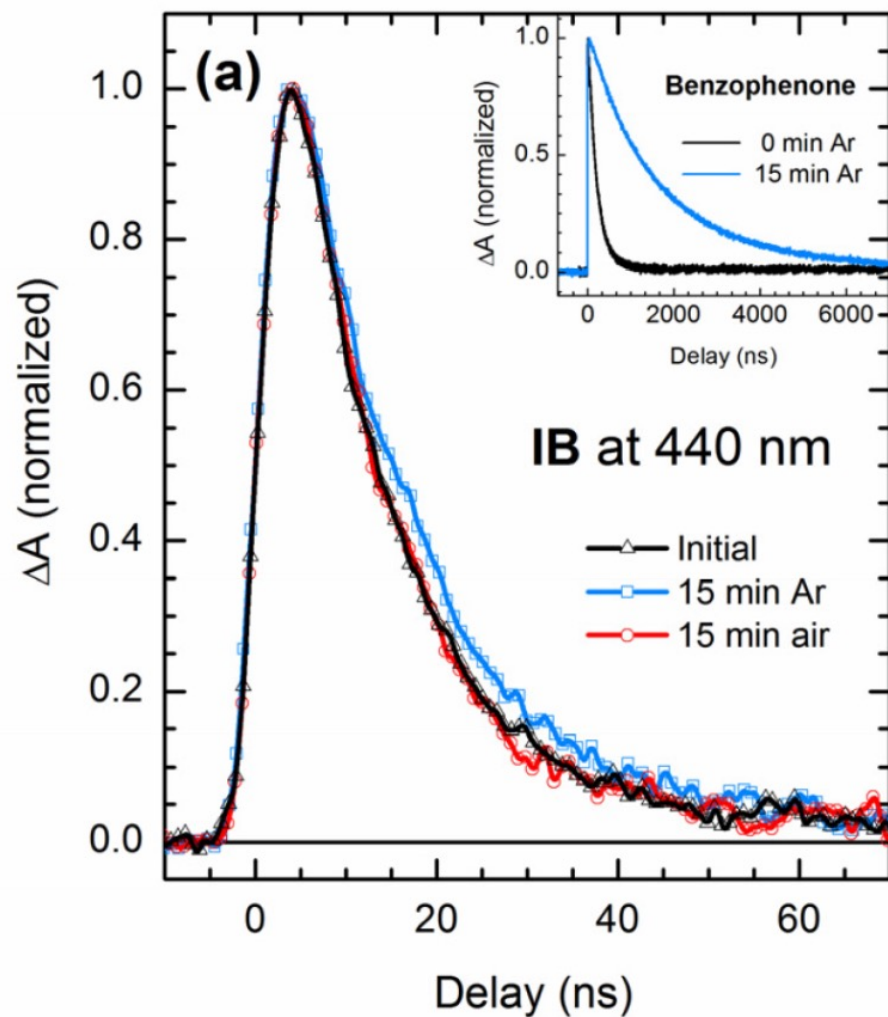
FIGURE 5. Single-crystal X-ray structure of 3a.



Prevailing view: UV light induces bond cleavage, and produces a p-nitrophenolate chromophore responsible for the visible absorption.

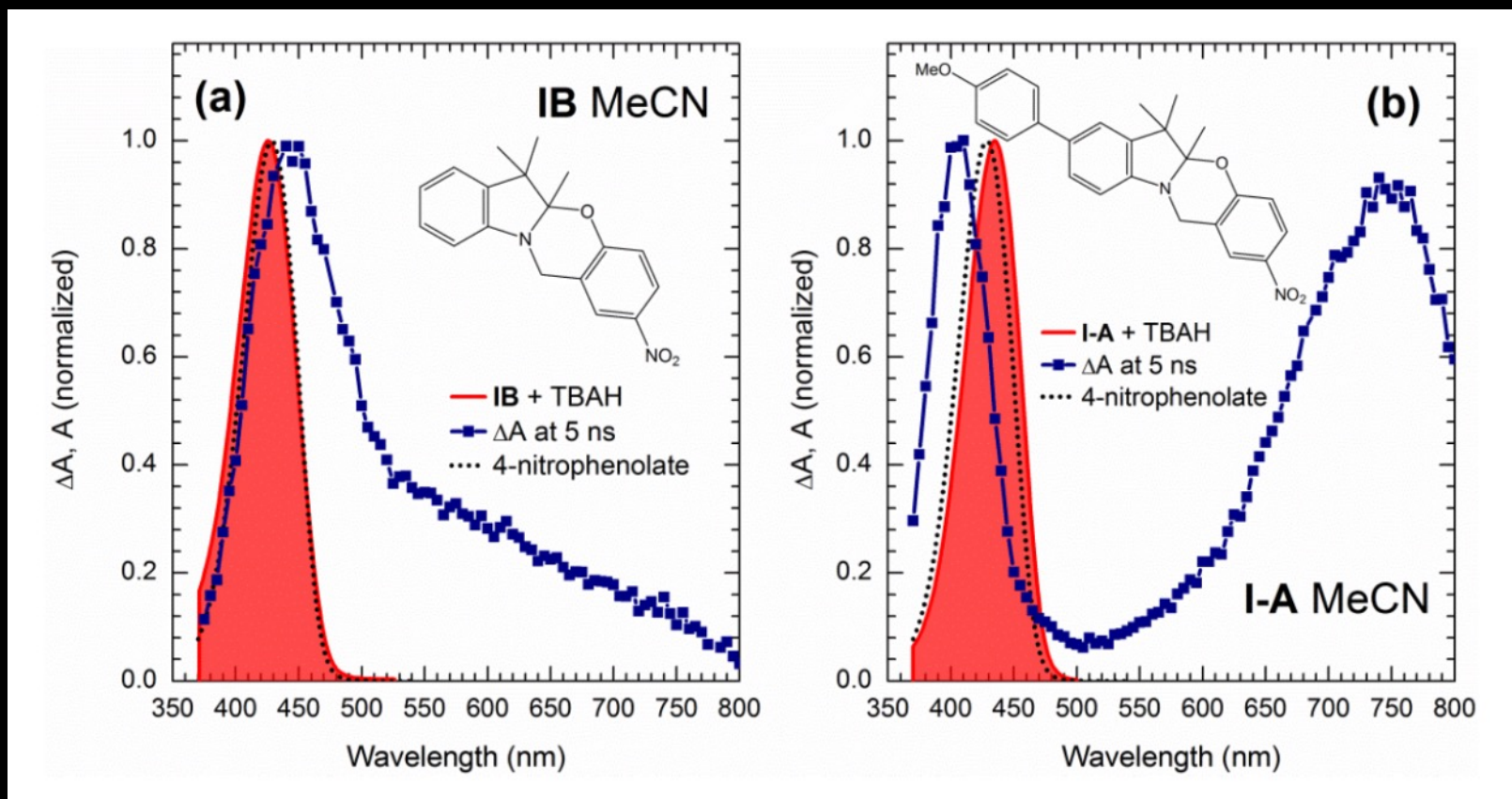
Or is it?..

# Oxygen effect on lifetime of “isomer”

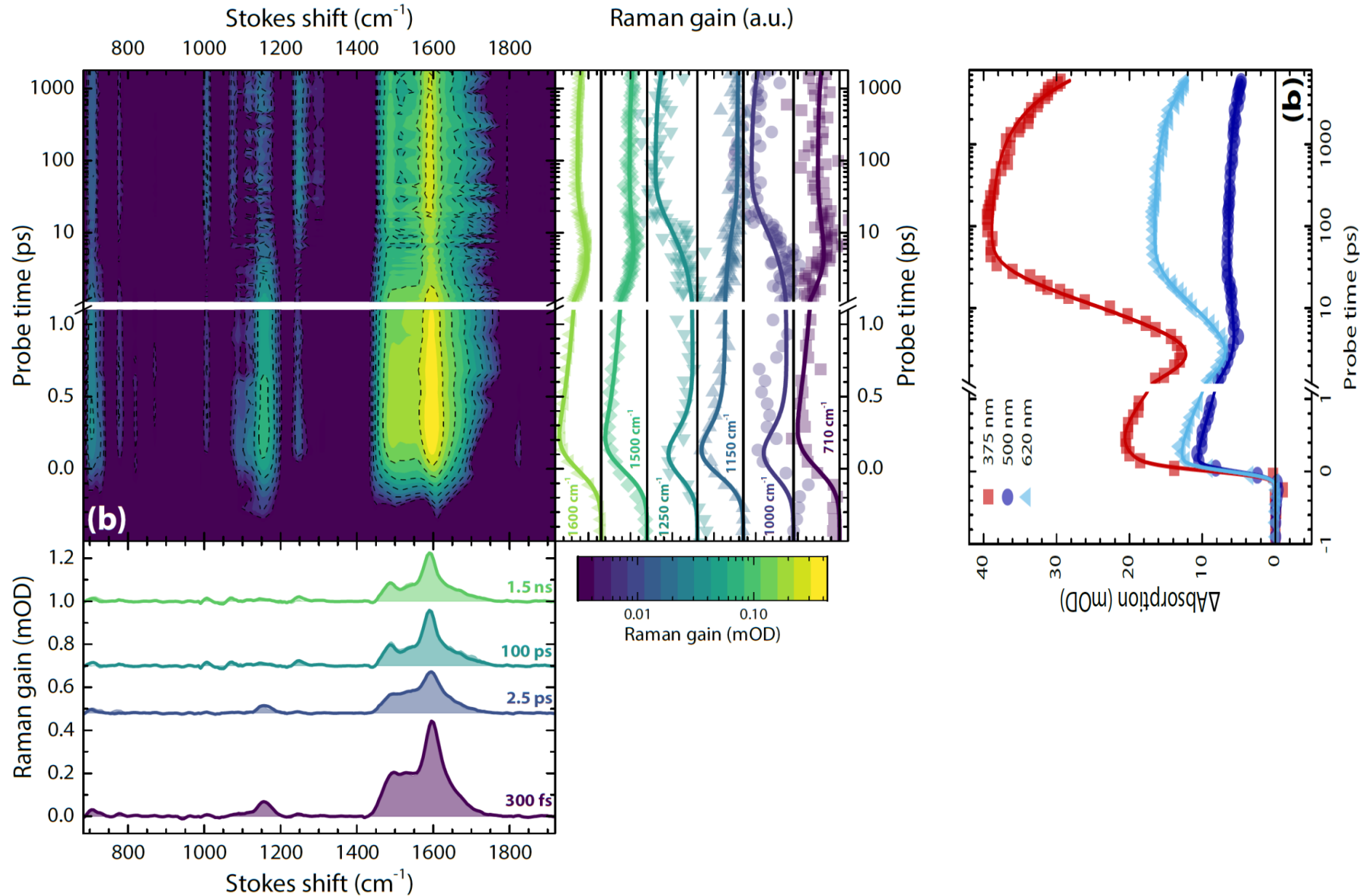




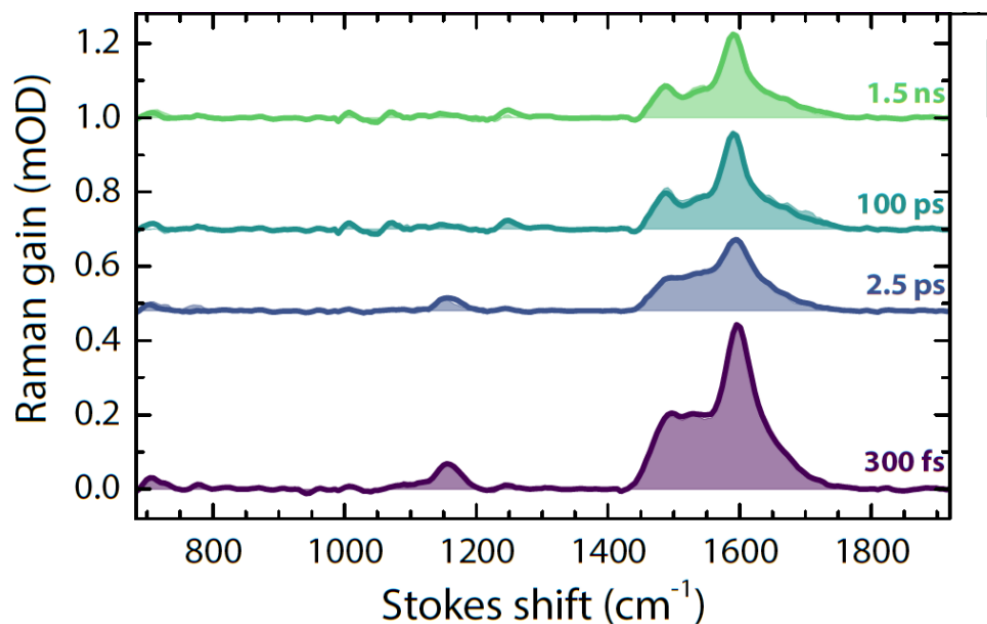
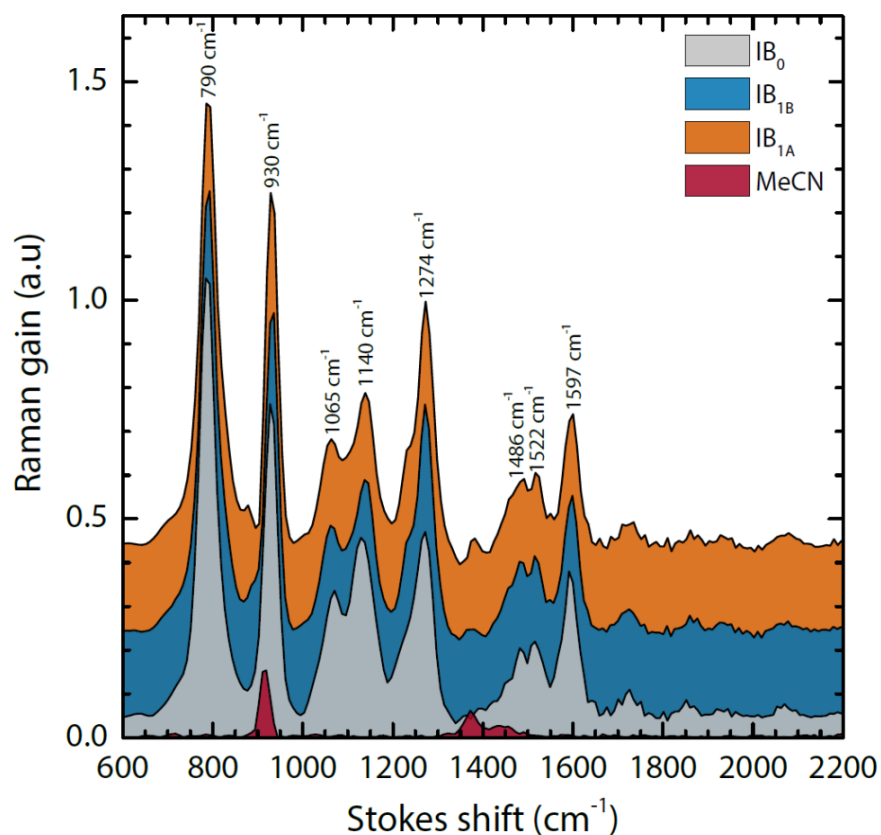
# Absorption of open and closed forms



# FSRS and optical pump-probe data



# No match between optically and chemically induced Raman spectra!

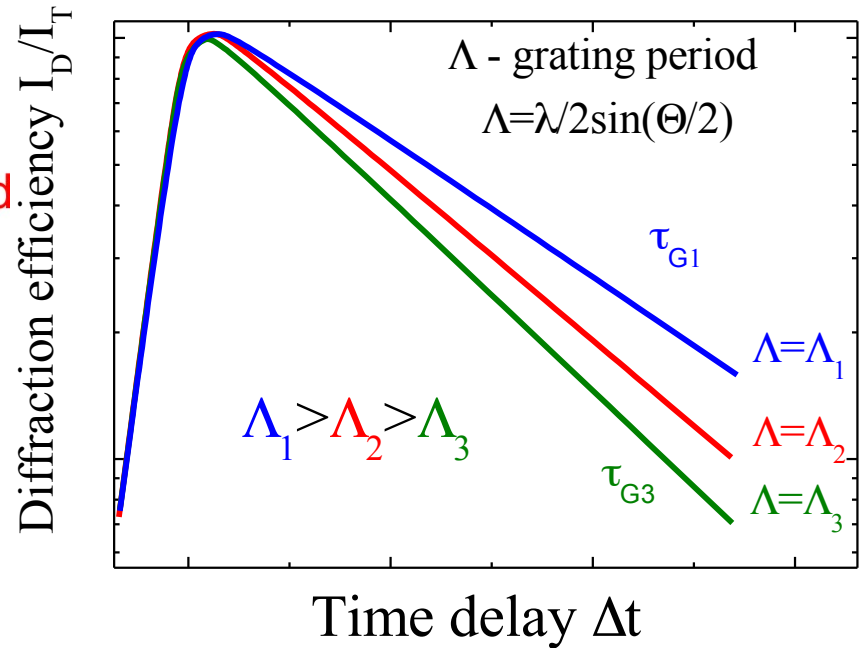
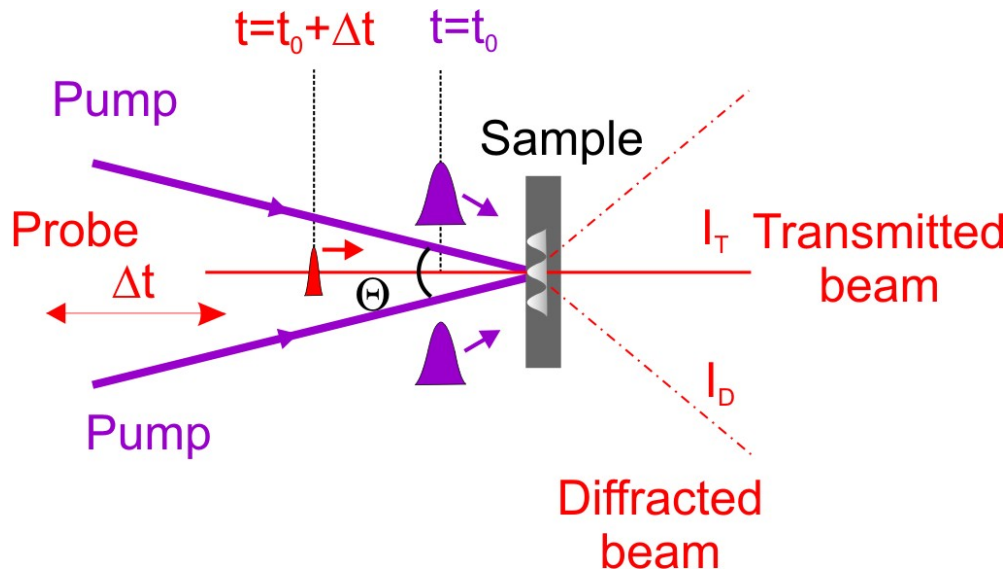


Therefore, definitely not photochromic. Pity.

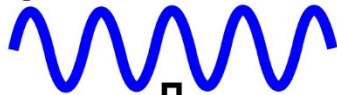
**Twist #3:**

**Coherent spectroscopies**

# Transient grating for diffusion length determination in semiconductors



Light interference field

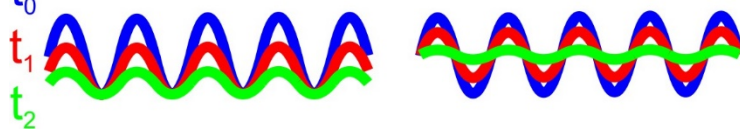


Spatial carrier modulation



$t_0$  Carrier recombination

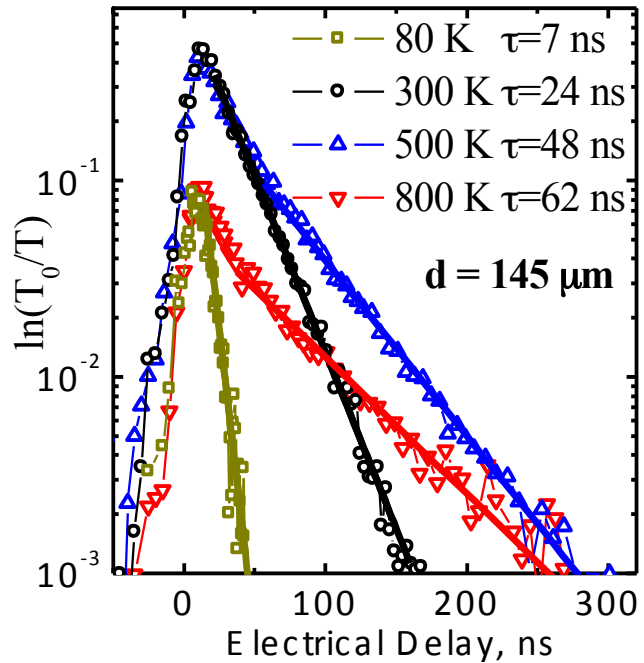
Carrier diffusion



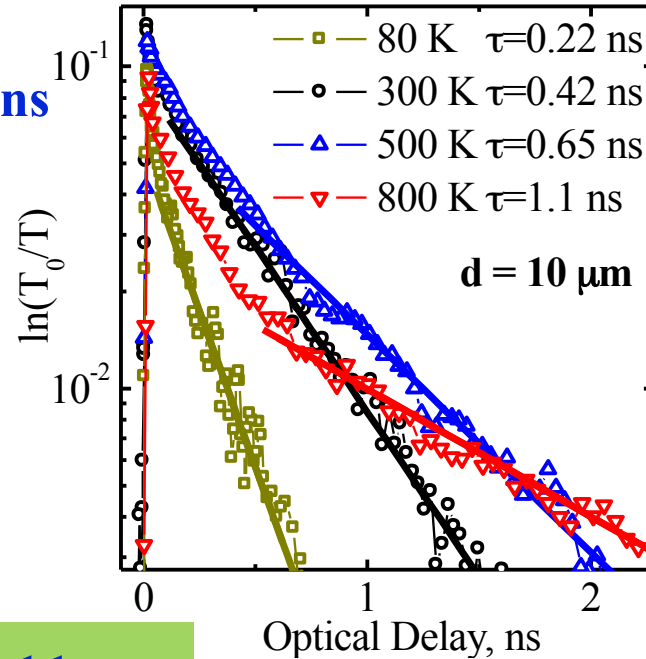
$$\frac{1}{\tau_G} = \frac{1}{\tau_R} + \frac{1}{\tau_D} = \frac{1}{\tau_R} + \frac{4\pi^2 D}{\Lambda^2}$$

$$\tau_G^{-1} = f(\Lambda^{-2}) \Rightarrow \tau_R, D \Rightarrow L_D = \sqrt{\tau_R D}$$

# Non-radiative recombination time in GaN



$\tau_{\text{Rad}} = 60 \text{ ns}$



$\tau_{\text{Rad}} = 10 \text{ ns}$

$$\tau_{\text{NonRad}} \ll \tau_{\text{Rad}}$$

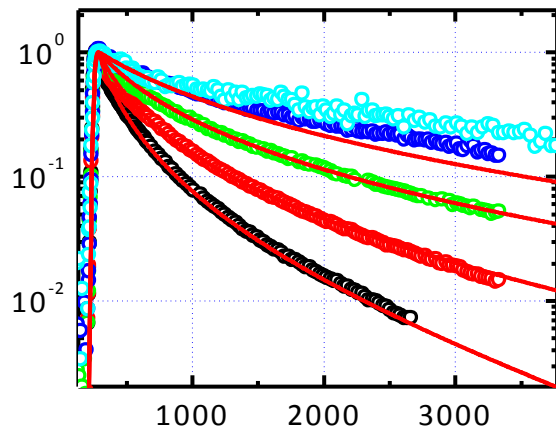
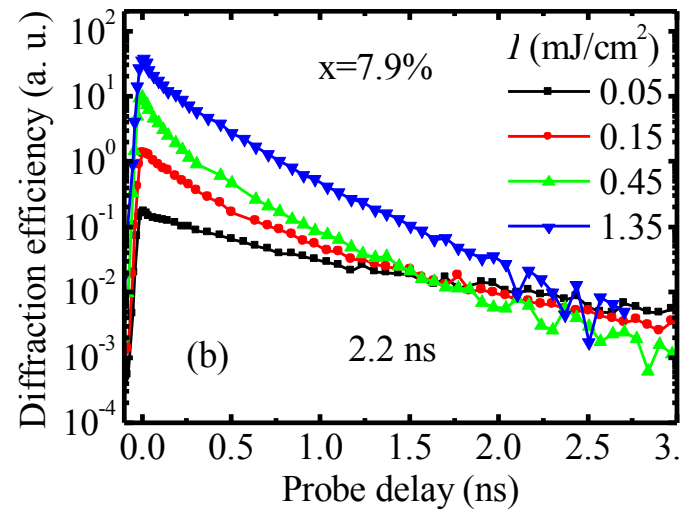
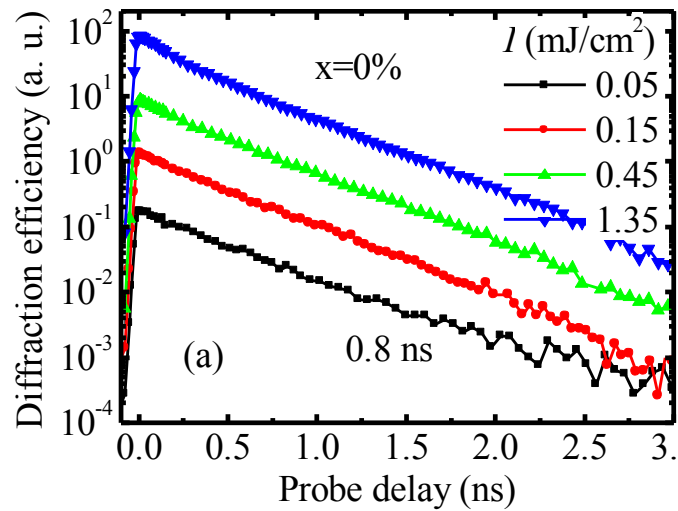
$$\frac{1}{\tau_R} = \frac{1}{\tau_{\text{Rad}}} + \frac{1}{\tau_{\text{NonRad}}}$$

$$\tau_{\text{Rad}}(T, \Delta N) = \frac{1}{B(T)\Delta N}$$

$$B(T) = 2 \times 10^{-11} \left( \frac{T}{300\text{K}} \right)^{-1.5}$$

- Non-radiative decay time  $\tau_{\text{NonRad}}$  can be determined at low injection and/or after long decay time, when  $\Delta N$  becomes small.

# Recombination in $\text{In}_x\text{Ga}_{1-x}\text{N}$ MQWs



$$\frac{\partial N(z,t)}{\partial t} = D \frac{\partial^2 N(z,t)}{\partial z^2} - \overset{\text{Non-radiative}}{\downarrow} AN(z,t) - \overset{\text{Band-to-band}}{\uparrow} BN^2(z,t) - \overset{\text{Auger}}{\downarrow} CN^3(z,t) + G(z,t)$$

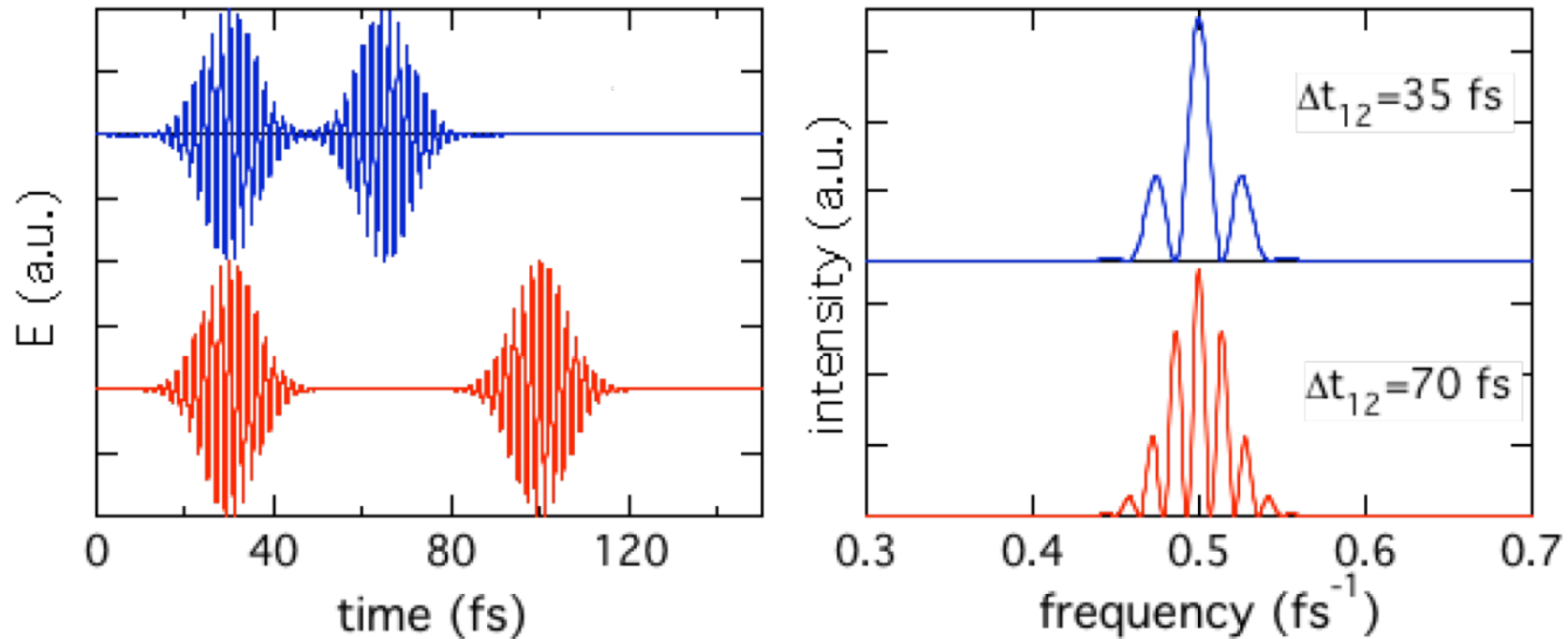
- **A** and **B** coefficients are determined from fitting to carrier continuity equation. **D** and  $N_0$  other parameters in the equation are determined experimentally.

# Transient grating

- Combined with temperature dependence, can reveal the diffusion coefficients and recombination rates and modes in semiconductors.

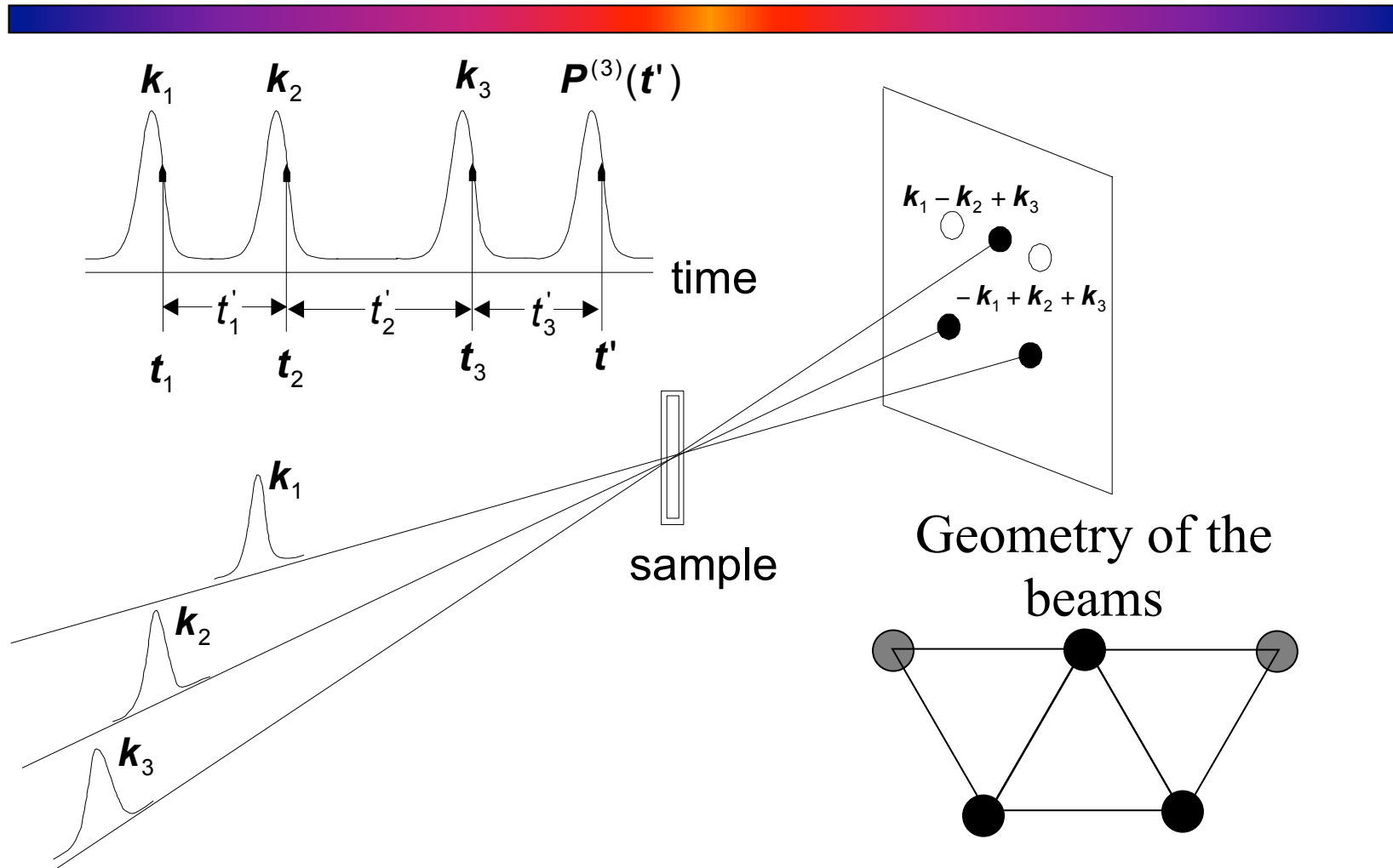


# More general case: three pulse echo

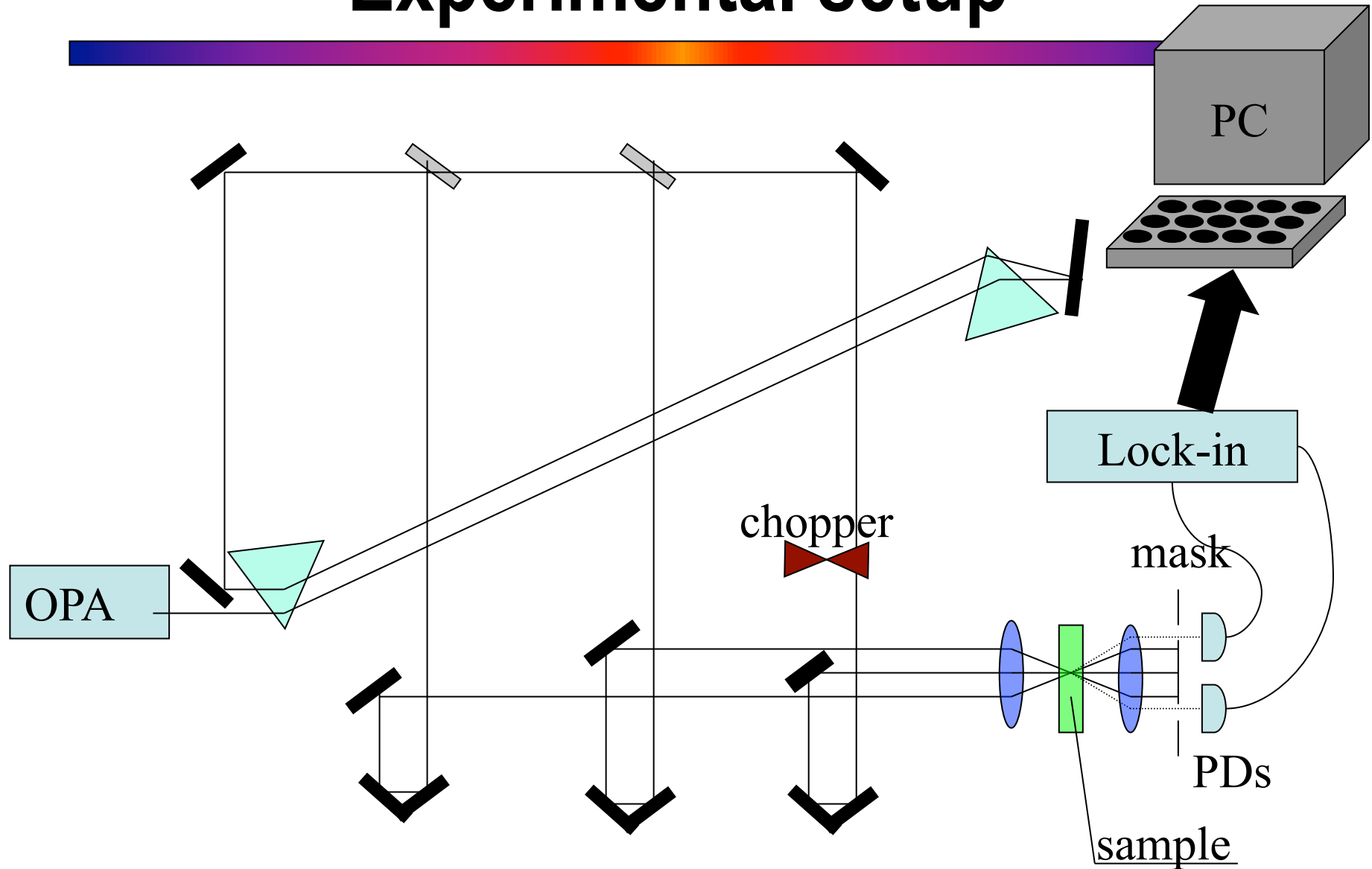


**Figure 31:** Electric field (left) and spectral intensity (right) associated with two 10 fs pulses separated by 35 and 70 fs.

# Experiment scheme



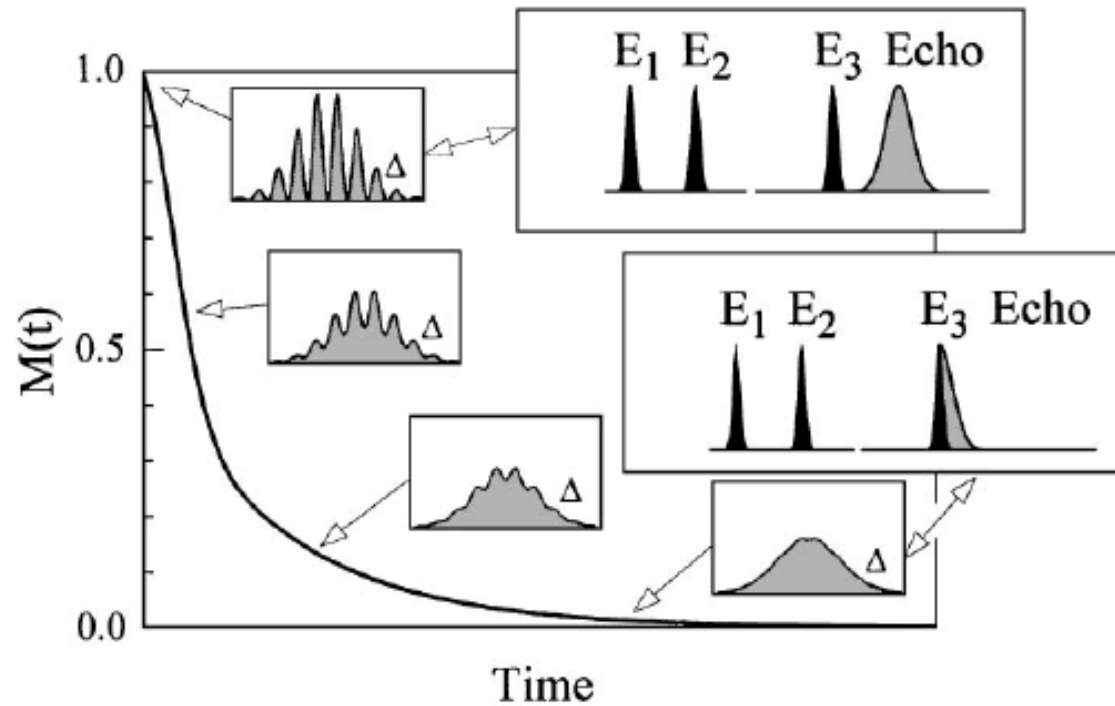
# Experimental setup



# Three pulse echo

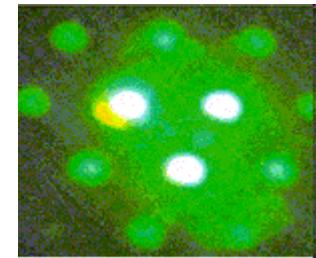
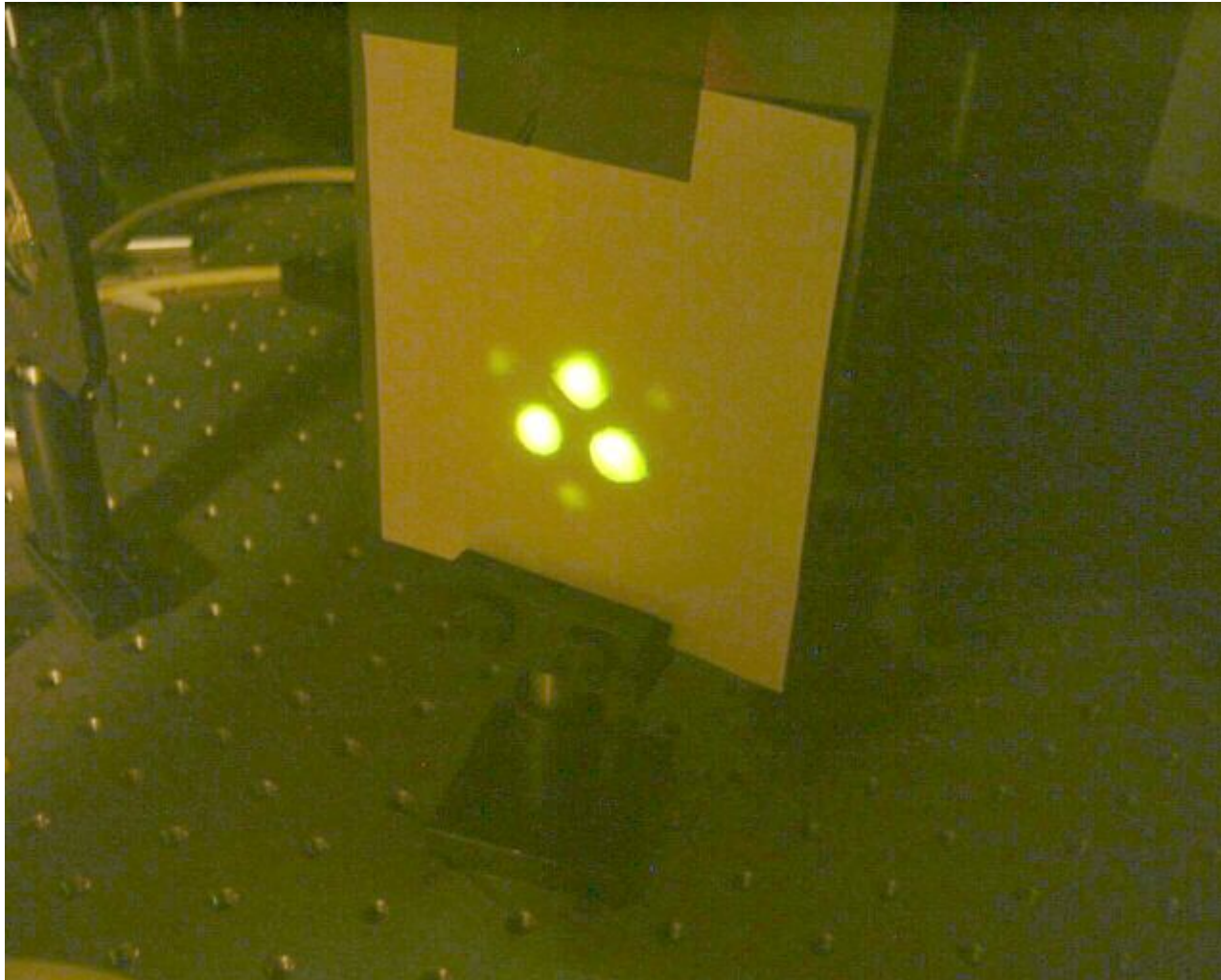
- The „writing“ pulses are separated in time, and their spectra are as wide as the absorption band of the sample. Shifted pulses result in frequency beating or *frequency grating*.
- The further the pulses – the finer the grating is.
- When too fine, it is very sensitive to spectral diffusion and signal quickly disappears;
- When too coarse, diffraction is weak produced
- Therefore, signal maximum is observed when the writing pulses are *SLIGHTLY* separated in time.

# Frequency gratings

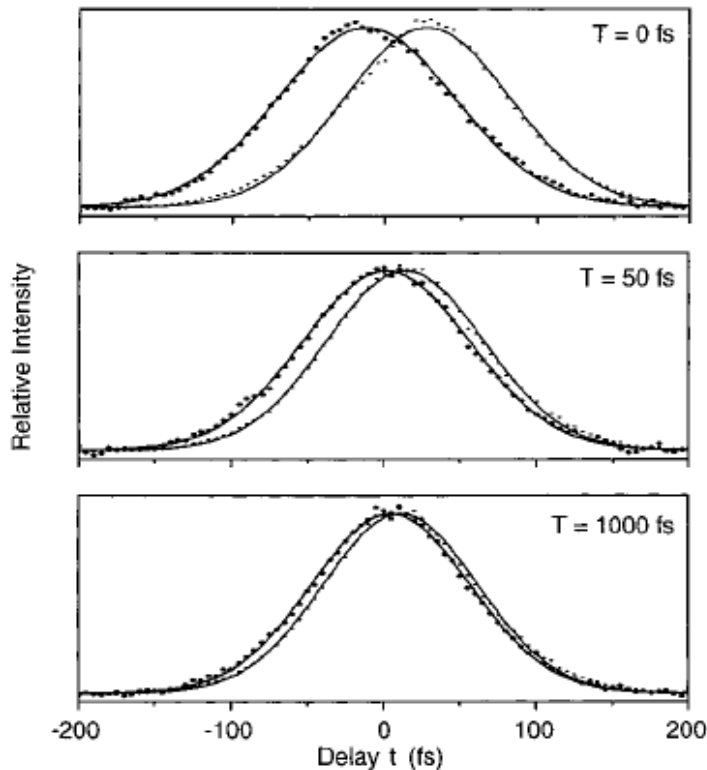


*Figure 2* System-bath correlation function and associated decays of the frequency grating formed in the ground state.  $\Delta$  denotes the frequency detuning from the optical transition. The excitation pulse sequence  $E_1$ - $E_3$  as well as the emitted signals are depicted for  $M(t) = 1$  (inhomogeneous broadening) and  $M(t) = 0$  (homogeneous broadening). Note that in the former case, the signal is delayed with respect to the last excitation pulse (photon echo), whereas in the latter case, the signal maximum coincides with the last excitation pulse (free induction decay).

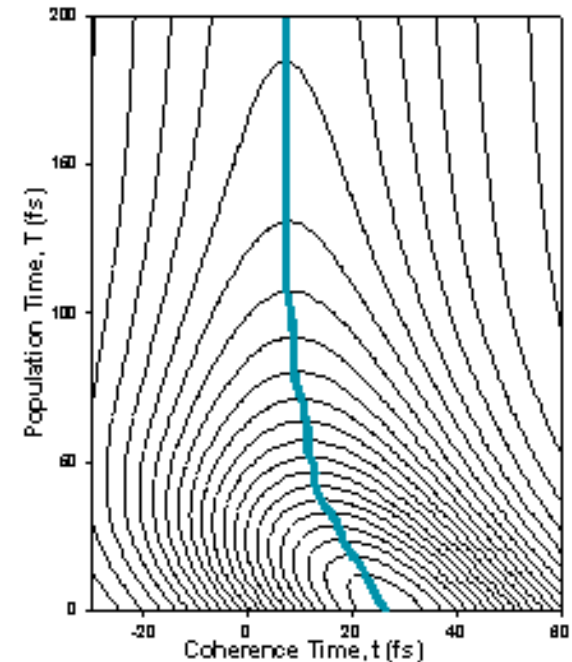
# How does it look?



# What do we measure?



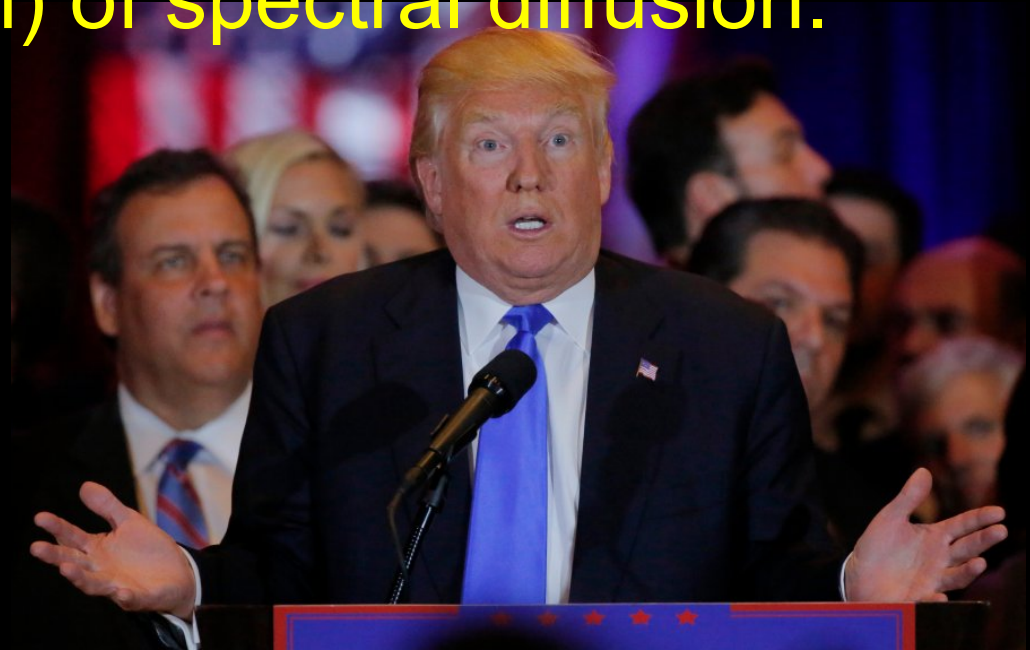
**Figure 4.** Examples of three 3PEPS scans (in the  $t$  dimension) obtained with  $\alpha$ -subunit preparations at room temperature at  $T = 0, 50,$  and  $1000$  fs. The two traces represent the echo signals obtained from the two phase-matched directions. The traces are superimposed with fits to Gaussian line shapes, as determined by a nonlinear least-squares regression routine.



Peak shift decay follows the memory function of the bath coupled system

# Problems

- After all this work, just one decaying curve is measured. Cannot produce too much science with just one curve ☹.
- Data interpretation requires the microscopic model (hamiltonian) of spectral diffusion.





# 2D electronic spectroscopy

- What if we measure not just the intensity of the photon echo, but the time dependence of the radiated EM field?
- We get 2D NMR analogue in optics, called two dimensional electronic spectroscopy (2DES).

## **Phase-stabilized two-dimensional electronic spectroscopy**

Tobias Brixner, Tomáš Mančal, Igor V. Stiopkin, and Graham R. Fleming<sup>a)</sup>

*Department of Chemistry, University of California, Berkeley and Physical Biosciences Division,  
Lawrence Berkeley National Laboratory, Berkeley, California 94720*

# 2D spectroscopy: plethora of pulses

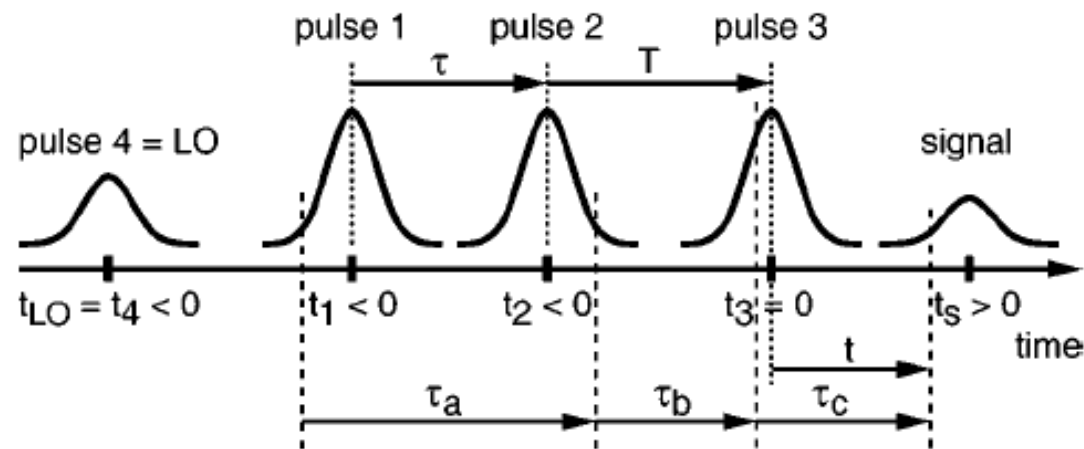


FIG. 1. Definition of time variables. Time zero is defined at the center of the third excitation pulse. The first two excitation pulses arrive at times  $t_1 < 0$  and  $t_2 < 0$ , separated by the coherence time  $\tau$  which is positive for the shown pulse order, and negative if pulse 2 arrives first. The population time  $T > 0$  is the separation between the second and third excitation pulse at  $t_3 = 0$ . Non-linear third-order polarization at time  $t$  is induced by field interactions at times  $\tau_a + \tau_b + \tau_c$ ,  $\tau_b + \tau_c$ , and  $\tau_c$  earlier, which may occur somewhere under the excitation pulse envelopes. This leads to a free-induction decay and for inhomogeneously broadened systems, an additional photon echo signal is observed with an average arrival time  $t_s$  that is similar to the coherence time. The local oscillator (LO) used for heterodyned signal detection always arrives first at time  $t_4$ .

# Experimental implementation

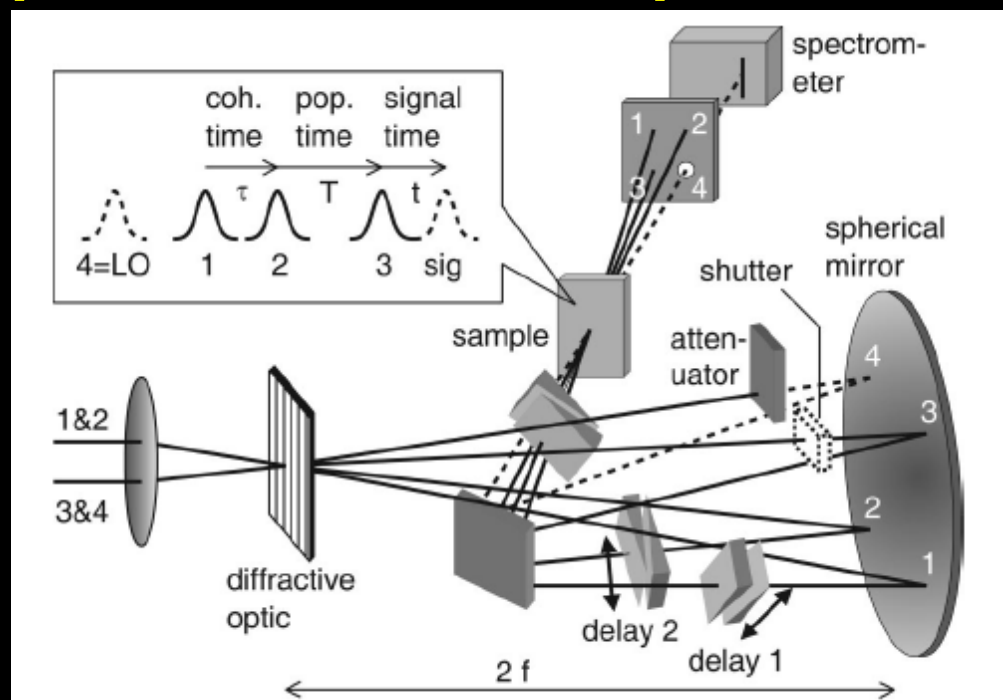


FIG. 2. Experimental setup. Two parallel beams of femtosecond laser pulses in the visible spectral region are focused by a lens onto a grating. The first diffraction orders emerge with high efficiency and provide the excitation pulses 1–3 as well as a local oscillator (4=LO) for heterodyne-detected three-pulse photon-echo electronic spectroscopy. A spherical mirror ( $2f = 50$  cm) creates an image of the pulse overlap in the sample cell via a plane folding mirror. The required time delays are provided with subwavelength precision by motor-controlled movable glass wedges. Full characterization of the nonlinear phase-matched signal field is carried out by spectral interferometry with the attenuated LO. An automated beam shutter is used for subtraction of scattering contributions. This diffractive-optics based setup is inherently phase-stabilized.

# You can calibrate your $\lambda/20$ delays

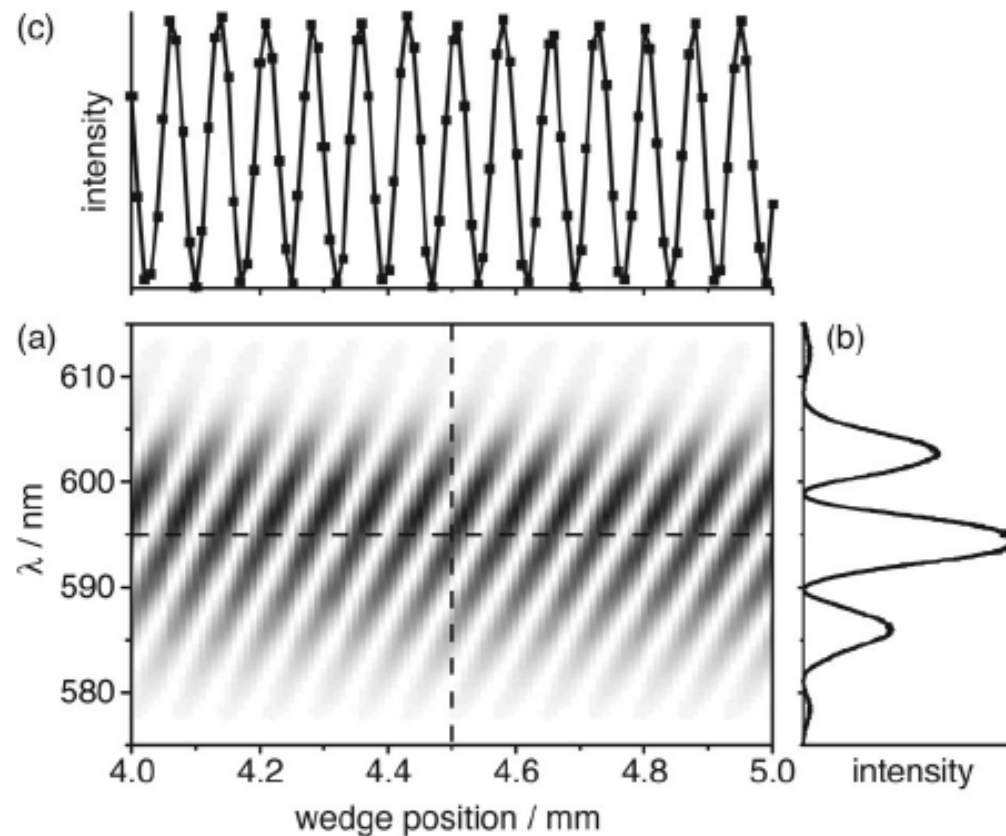


FIG. 3. Delay calibration by spectral interferometry. (a) Spectral interference patterns between pulses 1 and 2 are recorded in  $10 \mu\text{m}$  steps by moving the glass wedge in arm 1. The cross section along the vertical dashed line shows (b) the spectral interference outside of the temporal pulse overlap, whereas the cross section along the horizontal dashed line delivers (c) the temporal oscillation for one particular wavelength. Counting these oscillations gives a precise calibration factor of wedge position vs time delay.

# 2D Electronic spectroscopy

- Can distinguish homogeneous and inhomogeneous broadening;
- Time resolution is not limited by spectral resolution on excitation scale;
- It's like many pump-probe experiments in one go!

# 2D electronic spectroscopy

The multiplication  $E(t - \tau_a - \tau_b - \tau_c)E(t - \tau_b - \tau_c)E(t - \tau_c)$  in Eq. (1) using the field of Eq. (2) yields  $6 \times 6 \times 6 = 216$  terms of the form of multiplication of three envelope functions  $\tilde{A}(t)$  or  $\tilde{A}^*(t)$  and corresponding phase factors determining their directions and frequencies. Each term of this sum corresponds to a specific time order of interaction contributions. For example, the contribution

$$\begin{aligned} & \tilde{A}(t - t_2 - \tau_a - \tau_b - \tau_c) \tilde{A}^*(t - t_1 - \tau_b - \tau_c) \\ & \times \tilde{A}(t - t_3 - \tau_c) e^{-i\omega_0(t - t_2 - \tau_a - \tau_b - \tau_c)} \\ & \times e^{i\omega_0(t - t_1 - \tau_b - \tau_c)} e^{-i\omega_0(t - t_3 - \tau_c)} e^{i(\tilde{k}_2 - \tilde{k}_1 + \tilde{k}_3) \cdot \tilde{r}} \end{aligned} \quad (3)$$

corresponds to the case when the system first interacts with the pulse going along the  $\tilde{k}_2$  direction at the time  $t - \tau_a - \tau_b - \tau_c$ , then it interacts with the pulse characterized by the direction  $-\tilde{k}_1$  at time  $t - \tau_b - \tau_c$  and finally with the pulse traveling along  $\tilde{k}_3$  at time  $t - \tau_c$ . The star denotes complex conjugation. Only six of the 216 terms generate a signal

in the direction of  $-\tilde{k}_1 + \tilde{k}_2 + \tilde{k}_3$  along which we measure. All terms possess a common phase factor  $e^{-i\omega_0(t + i\omega_0\tau)}$ , and in addition they contain one of the phase factors that can be either  $e^{i\omega_0(\tau_a + \tau_b)}$ ,  $e^{-i\omega_0(\tau_b - \tau_a)}$ , or  $e^{i\omega_0(\tau_a + 2\tau_b + \tau_c)}$ .

Depending on the system in question, the response function  $S^{(3)}(\tau_a, \tau_b, \tau_c)$  contains a sum of contributions with similar phase factors. If the laser frequency  $\omega_0$  approximately matches the electronic transition frequencies in the system, some of the phase factors originating from the response function may cancel with those originating from the laser field. Thus, under the integration in Eq. (1) we would have slowly varying terms (where oscillatory factors canceled) and fast oscillating terms (where phase factors added). After the integration, oscillatory terms result in a much smaller contribution than slowly varying ones, and we can neglect them. This is usually referred to as rotating-wave approximation (RWA). Thus, taking into account only the signal contribution emitted into the phase-matched direction  $\tilde{k}_s = -\tilde{k}_1 + \tilde{k}_2 + \tilde{k}_3$  under the RWA, one arrives at

$$\begin{aligned} P_{r\omega}^{(3)}(\tau, T, t) = & \exp[-i\omega_0 t + i\omega_0 \tau] \int_0^{\tau} \int_0^{\tau} \int_0^{\tau} d\tau_a d\tau_b d\tau_c \\ & \times \{ S_{R,rw}^{(3)}(\tau_a, \tau_b, \tau_c) e^{-i\omega_0(\tau_a - \tau_b)} \tilde{A}^*(t - t_1 - \tau_a - \tau_b - \tau_c) \tilde{A}(t - t_2 - \tau_b - \tau_c) \tilde{A}(t - t_3 - \tau_c) \\ & + \tilde{A}^*(t - t_1 - \tau_a - \tau_b - \tau_c) \tilde{A}(t - t_3 - \tau_b - \tau_c) \tilde{A}(t - t_2 - \tau_c) \} \\ & + S_{NR,rw}^{(3)}(\tau_a, \tau_b, \tau_c) e^{i\omega_0(\tau_a + \tau_b)} [\tilde{A}(t - t_2 - \tau_a - \tau_b - \tau_c) \tilde{A}^*(t - t_1 - \tau_b - \tau_c) \tilde{A}(t - t_3 - \tau_c) \\ & + \tilde{A}(t - t_3 - \tau_a - \tau_b - \tau_c) \tilde{A}^*(t - t_1 - \tau_b - \tau_c) \tilde{A}(t - t_2 - \tau_c)] \\ & + S_{DC,rw}^{(3)}(\tau_a, \tau_b, \tau_c) e^{i\omega_0(\tau_a + 2\tau_b + \tau_c)} [\tilde{A}(t - t_2 - \tau_a - \tau_b - \tau_c) \tilde{A}(t - t_3 - \tau_b - \tau_c) \tilde{A}^*(t - t_1 - \tau_c) \\ & + \tilde{A}(t - t_3 - \tau_a - \tau_b - \tau_c) \tilde{A}(t - t_2 - \tau_b - \tau_c) \tilde{A}^*(t - t_1 - \tau_c)] \}. \end{aligned} \quad (4)$$

Herein the response functions  $S_{R,rw}^{(3)}$ ,  $S_{NR,rw}^{(3)}$ , and  $S_{DC,rw}^{(3)}$  are sums of Liouville pathways surviving the rotating-wave approximation, i.e., those which contain phase factors that approximately cancel with the corresponding electric field factors. We use  $t_1$ ,  $t_2$ , and  $t_3$  in Eq. (4) as an abbreviation for  $-\tau - T$ ,  $-T$ , and 0 (compare Fig. 1) to elucidate that each  $\tilde{A}$  represents an envelope of the first, second, or third pulse, respectively. The exponential factor in front of the integral indicates that the polarization oscillates at frequencies within a certain interval around  $+\omega_0$  for the  $t$  coordinate and at frequencies within an interval around  $-\omega_0$  for the  $\tau$  coordinate. (This is the reason why the 2D spectra shown below, e.g., Fig. 6, have a negative  $\omega_r$  frequency axis and a positive  $\omega_t$  frequency axis.) The integrand of Eq. (4) contains only slowly oscillating factors from the complex pulse envelopes. The details of the response functions  $S$  depend on the molecular system under study and will be given later in Sec. IV.

A two-dimensional Fourier transformation of  $P_{r\omega}^{(3)}(\tau, T, t)$  with respect to  $\tau$  and  $t$  then delivers two-dimensional (2D) spectra (one for each population time  $T$ )

with frequency axes  $\omega_r$  and  $\omega_t$ . However, experimentally one does not detect the polarization of Eq. (4) directly but rather the phase-matched signal field, which is in turn not observed as a function of  $t$  but instead with a spectrometer as a function of the conjugate frequency  $\omega_t$ . Using Maxwell's equations, it can be seen that under ideal circumstances this frequency-domain signal field  $E_s$  is related to the polarization by

$$E_s(\tau, T, \omega_t) \sim \frac{i\omega_t}{n(\omega_t)} P^{(3)}(\tau, T, \omega_t) \quad (5)$$

with linear refractive index  $n(\omega_t)$ . Since one of the Fourier transformations is therefore already implicit in the frequency-domain detection technique, it is necessary to carry out only the transformation along the coherence time  $\tau = t_2 - t_1$  (for each fixed population time  $T$ ), which finally leads to the 2D correlation spectra,

$$S_{2D}(\omega_r, T, \omega_t) = \int_{-\infty}^{\infty} iP^{(3)}(\tau, T, \omega_t) \exp(i\omega_r \tau) d\tau \quad (6)$$

- Requires detailed QM theory
- High coolness factor

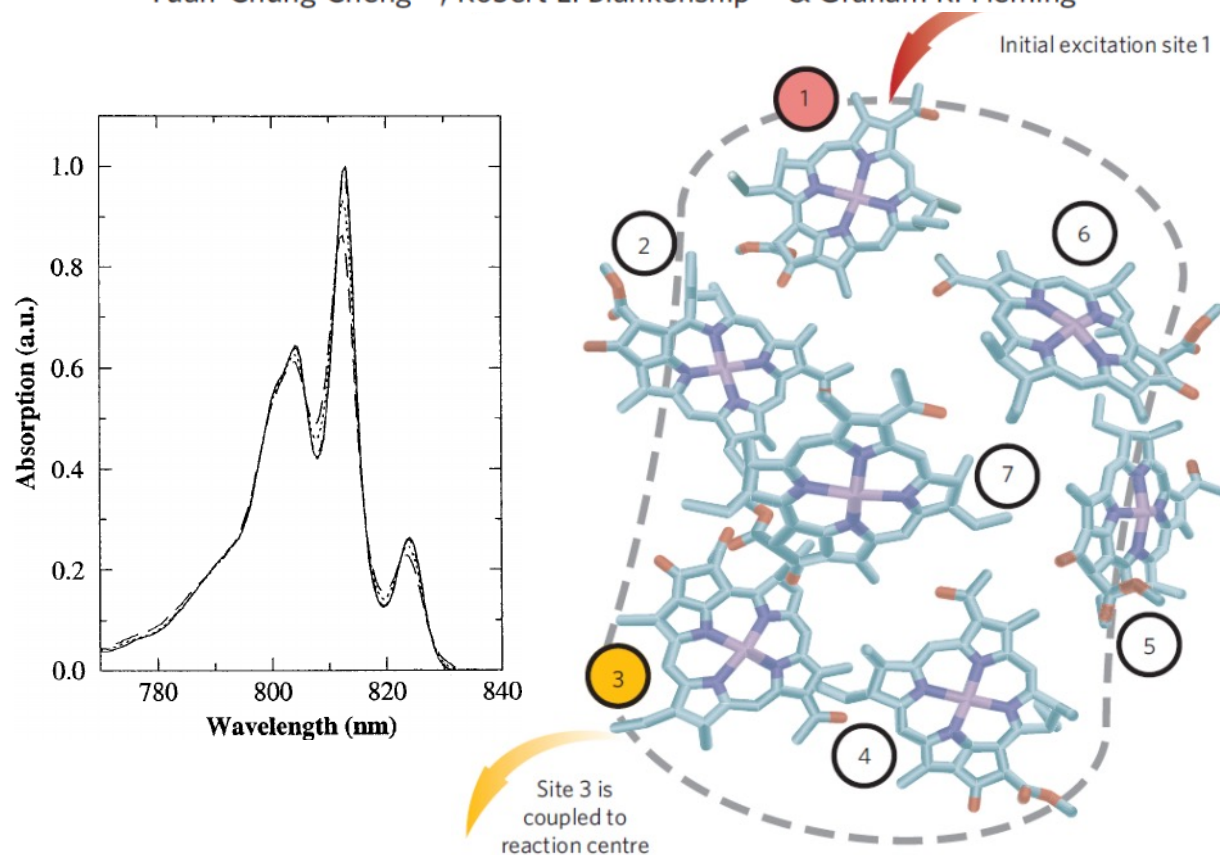
If you are from Berkeley, you can  
publish anything you like!



## LETTERS

# Evidence for wavelike energy transfer through quantum coherence in photosynthetic systems

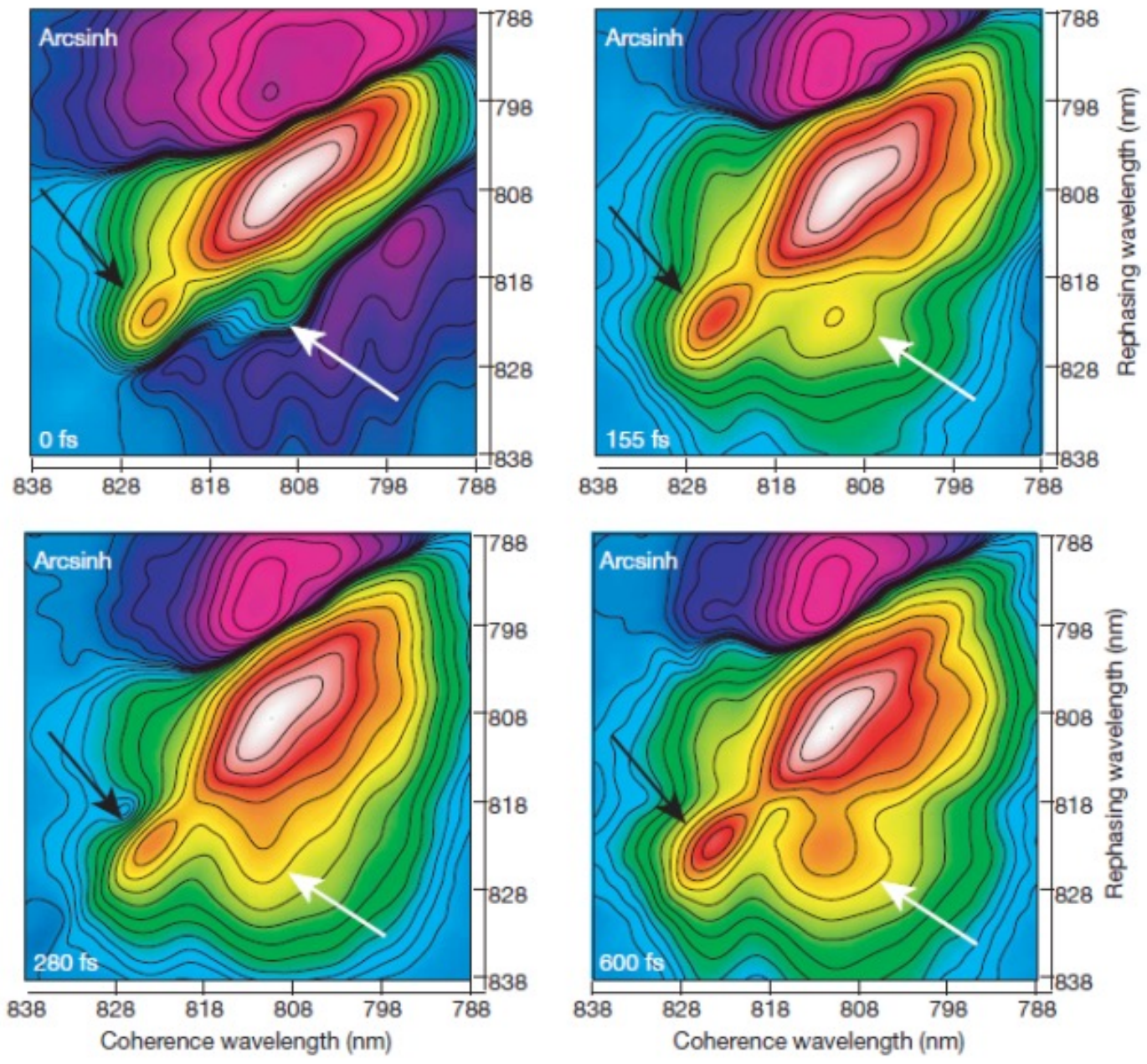
Gregory S. Engel<sup>1,2</sup>, Tessa R. Calhoun<sup>1,2</sup>, Elizabeth L. Read<sup>1,2</sup>, Tae-Kyu Ahn<sup>1,2</sup>, Tomáš Mančal<sup>1,2,†</sup>, Yuan-Chung Cheng<sup>1,2</sup>, Robert E. Blankenship<sup>3,4</sup> & Graham R. Fleming<sup>1,2</sup>



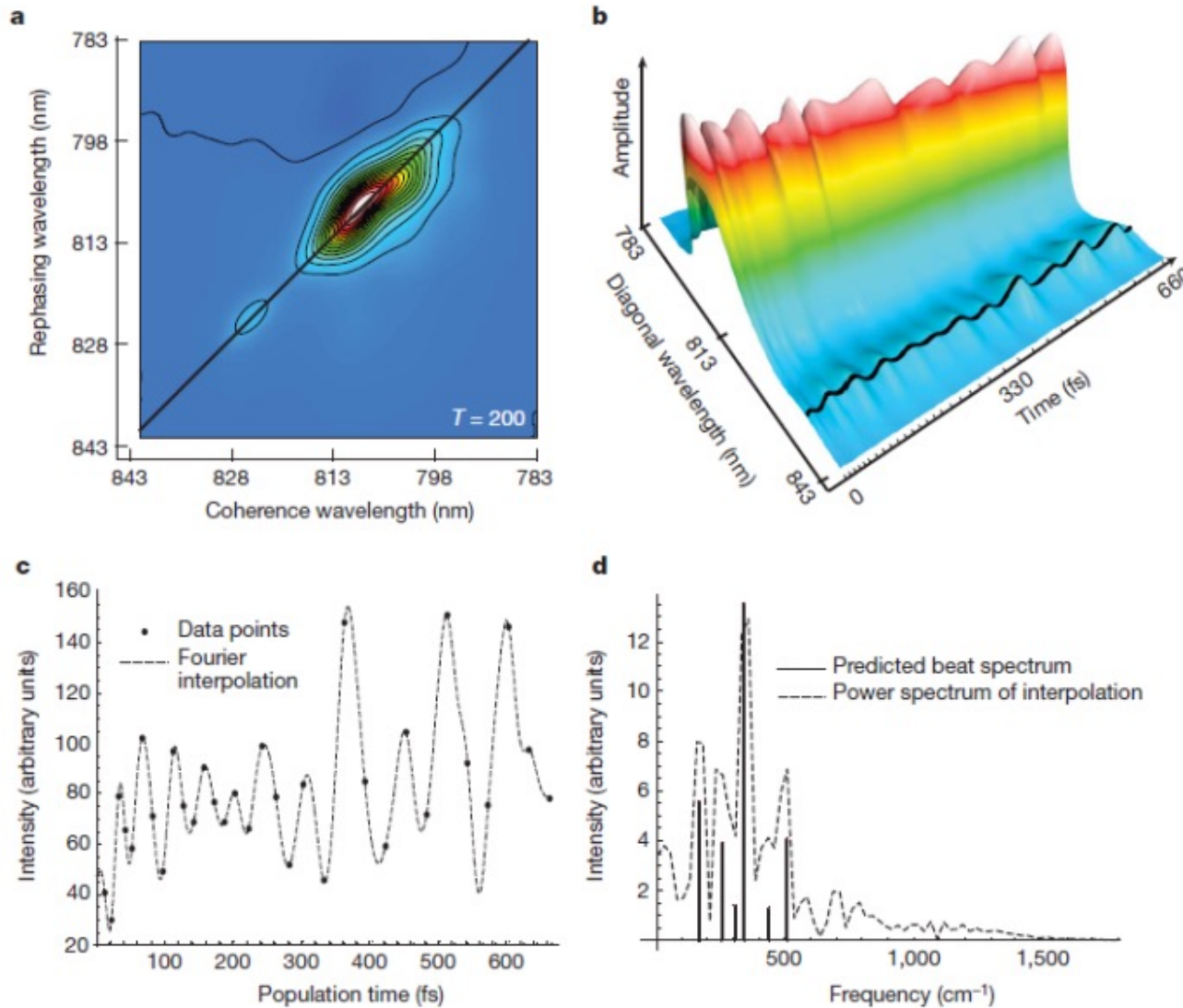
FMO complex, another light harvesting pigment protein complex.

Not much more than a bag of bacteriochlorophyll molecules with tight couplings.

# Off-diagonal peak is oscillating!



# Off-diagonal peak is oscillating!



**Figure 2 | Electronic coherence beating.** a, A representative two-dimensional electronic spectrum with a line across the main diagonal peak. The amplitude along this diagonal line is plotted against population time in b with a black line covering the exciton 1 peak amplitude; the data are scaled by a smooth function effectively normalizing the data without affecting oscillations. A spline interpolation is used to connect the spectra; the times at which spectra were taken are denoted by tick marks along the time axis. c, The amplitude of the peak corresponding to exciton 1 shown with a dotted Fourier interpolation. d, The power spectrum of the Fourier interpolation in c is plotted with the theoretical spectrum showing beats between exciton 1 and excitons 2-7.

Electronic coherences should dephase in  $<50$  fs

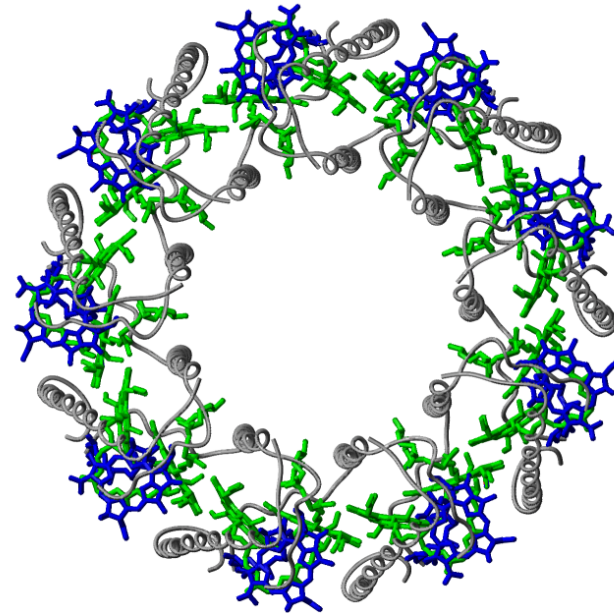
**This 'wavelike' energy transfer started the now fashionable (hopefully, not for long) field of quantum biology...**

**My never published data from 2000**

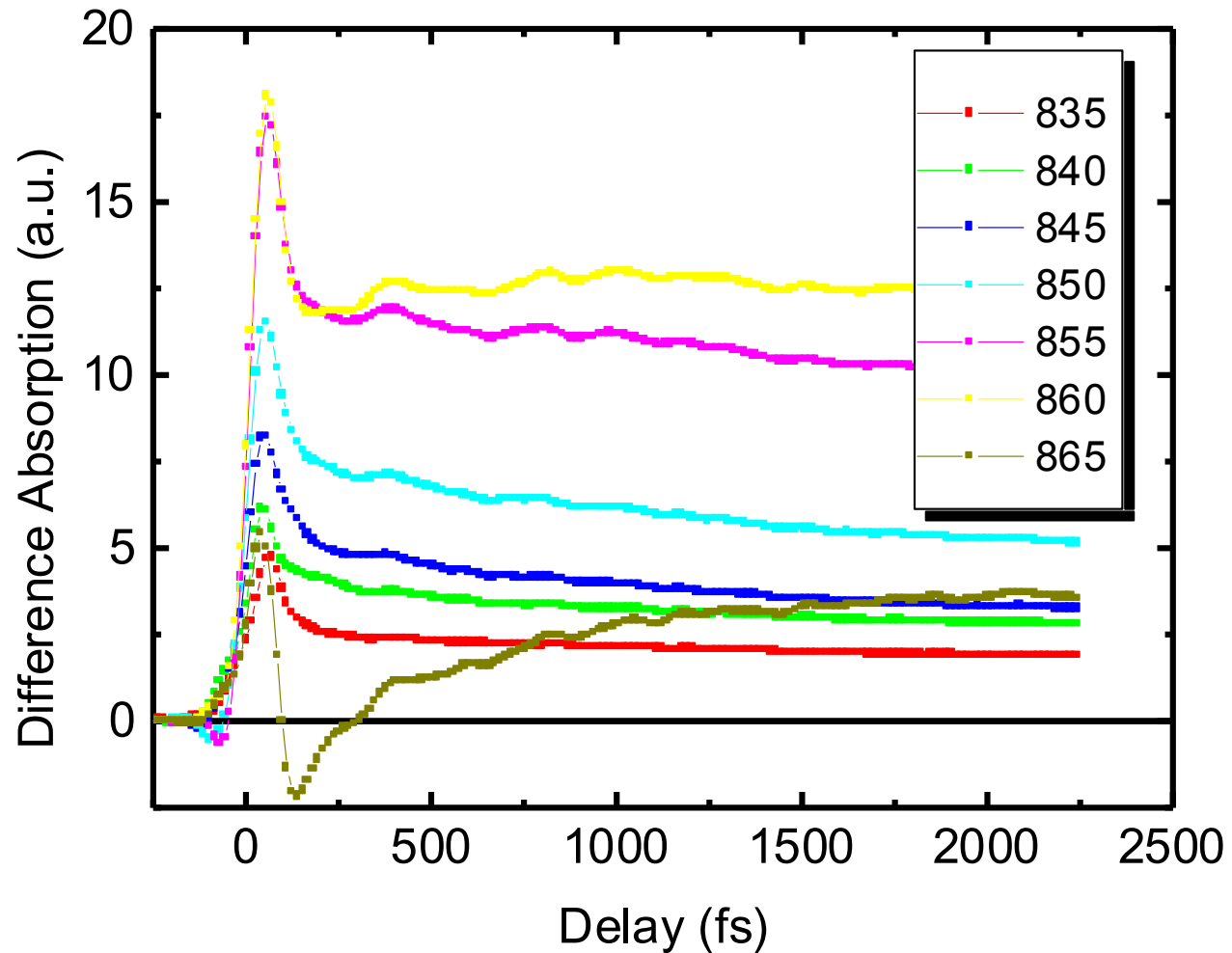
# Coherent response of nucleic subsystem to the excitation.

---

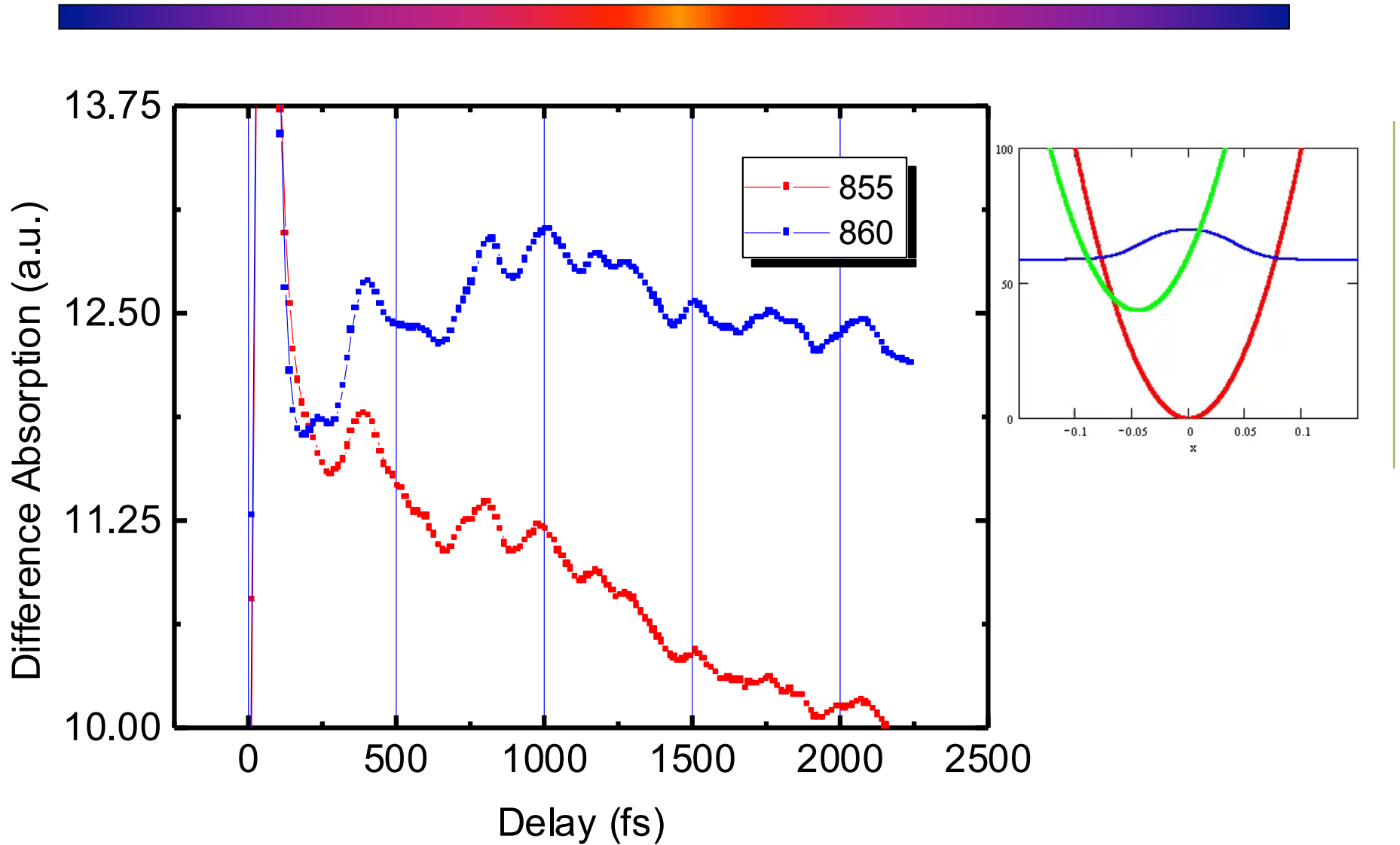
- Good old Rps. Acidophila;
- Pump-probe at 77K;
- Purpose: observe how the nuclei of BChl molecules respond to the electronic excitation.



# Kinetics at various wavelengths (77K)



# It is not noise!





# 4 years earlier (1996)

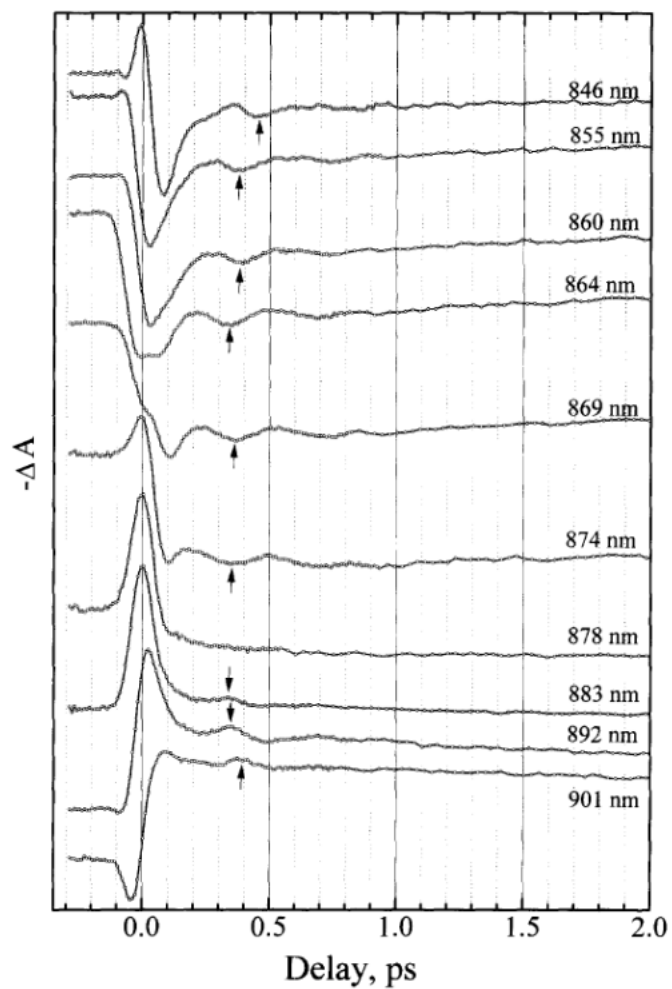
166

*M. Chachisvilis, V. Sundström / Chemical Physics Letters 261 (1996) 165–174*

variation of the wavelength dependent phase shifts further confirms the vibrational origin of the oscillatory features.

In this Letter we will concentrate on the nuclear motions in the LH1 complex by describing it with a

model system consisting of three electronic states and one nuclear degree of freedom. We tentatively assign the above three states to the ground, singly excited and doubly excited electronic manifolds of a BChl *a* exciton coupled aggregate, thereby assuming



# Instead of conclusions...

Time-resolved spectroscopy comes in a lot of different guises and is used in different fields for understanding the quantum-mechanical functioning of light sensitive matter.

Used wisely, it is a powerful box of tools for investigating nature.

Used bravely, it gets you papers in Nature (sometimes even despite the science being wrong).

Time to relax...



