

Small Scale experiments for fundamental physics

ICTP Summer School on Particle
Physics, June 12-15

Part 4

Syllabus

- Introduction
- New (scalar) forces
- Gravitational Waves and Ultralight Dark Matter
- New (spin-dependent) forces
(relation to axions, EDMS, Cosmic DM experiments)

Outline for Lectures

- Lecture 3 –
 - New (spin-dependent) forces
 - Background
 - Torsion balance tests
 - Magnetometry
 - New techniques: (ARIADNE)
 - Relation to axions, EDM experiments,
Cosmic DM experiments

Axions

- Light pseudoscalar particles in many theories Beyond Standard model
- Peccei-Quinn Axion (QCD) solves strong CP problem $\theta_{QCD} < 10^{-10}$
- Dark matter candidate

Experiments: e.g. ADMX, CAST, LC circuit, Casper



- Also mediates spin-dependent forces between matter objects at short range (down to 30 μm)

→ Can be sourced locally

- R. D. Peccei and H. R. Quinn, Phys. Rev. Lett. 38, 1440 (1977);
- S. Weinberg, Phys. Rev. Lett. 40, 223 (1978);
- F. Wilczek, Phys. Rev. Lett. 40, 279 (1978).
- J. E. Moody and F. Wilczek, Phys. Rev. D 30, 130 (1984).

Axion-exchange between nucleons

- Scalar coupling $\propto \theta_{\text{QCD}}$

$$\mathcal{L} \supset \frac{\theta_{\text{QCD}}}{f_a} \mu a \bar{\psi} \psi$$

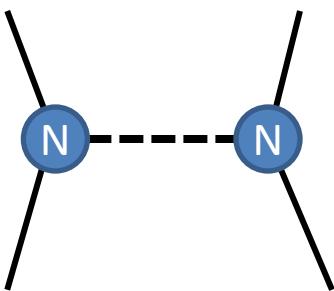
- Pseudoscalar coupling

$$\mathcal{L} \supset \frac{\partial_\mu a}{f_a} \bar{\psi} \gamma_\mu \gamma_5 \psi$$

In the non-relativistic limit:

$$\mathcal{L} \supset \frac{\vec{\nabla} a}{f_a} \cdot \vec{\sigma}$$

Axion acts a force mediator between nucleons



$$(g_s^N)^2$$

Monopole-monopole

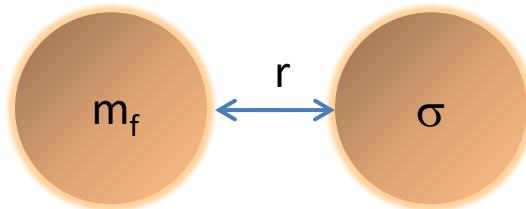
$$g_s^N g_P^N$$

Monopole-dipole

$$(g_p^N)^2$$

dipole-dipole

Spin-dependent forces

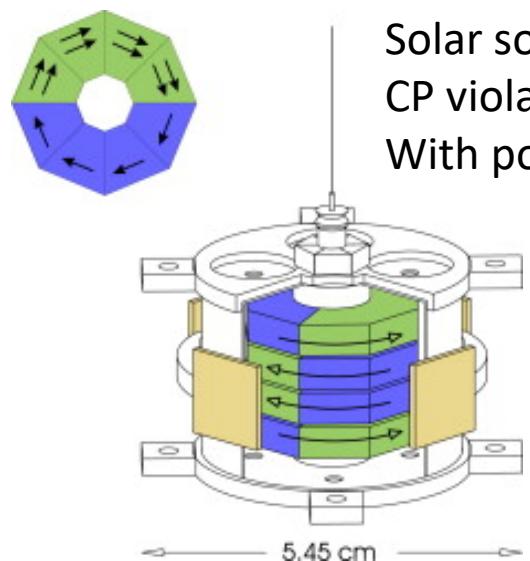


Monopole-Dipole axion exchange

$$U(r) = \frac{\hbar^2 g_s^N g_p^N}{8\pi m_f} \left(\frac{1}{r\lambda_a} + \frac{1}{r^2} \right) e^{-r/\lambda_a} (\hat{\sigma} \cdot \hat{r}) \equiv \mu \cdot B_{\text{eff}}$$

Fictitious magnetic field

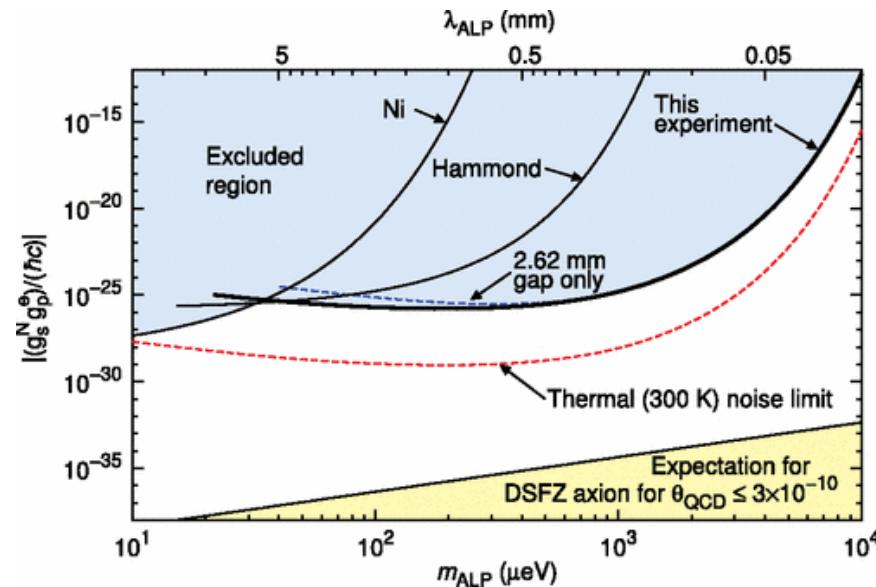
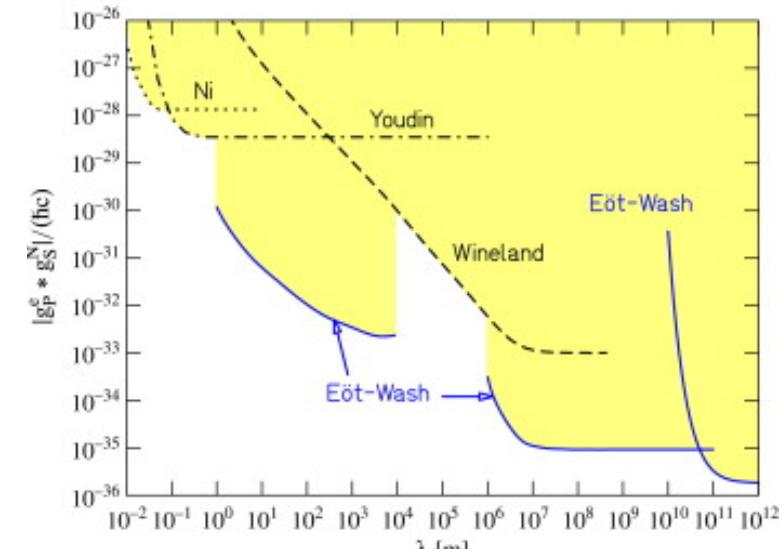
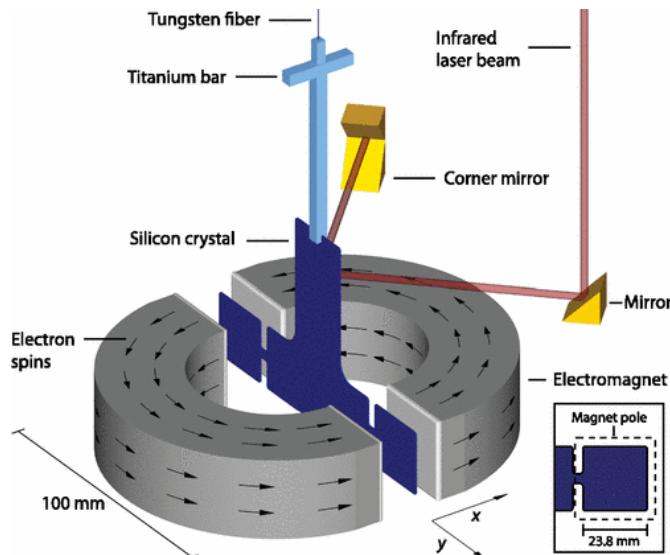
Spin-dependent forces- torsion balance



Lab-fixed,
Solar source
CP violation test
With polarized electrons

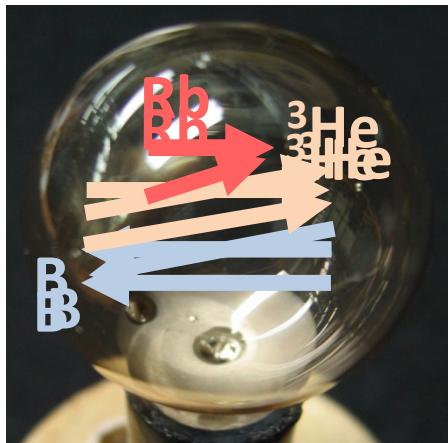
B. R. Heckel, E. G.
Adelberger, C. E.
Cramer,
T. S. Cook, S.
Schlamminger, and
U. Schmidt
Phys. Rev. D **78**,
092006 (2008)

Axion-like particle (ALP) search:



S. A. Hoedl, F. Fleischer, E. G. Adelberger, and B. R. Heckel
Phys. Rev. Lett. **106**, 041801 (2011).

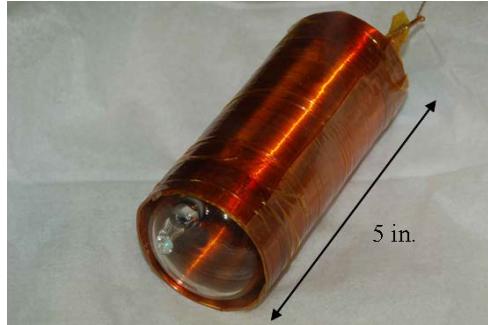
Noble gas alkali-metal co-magnetometer



Search for spin-dependent forces

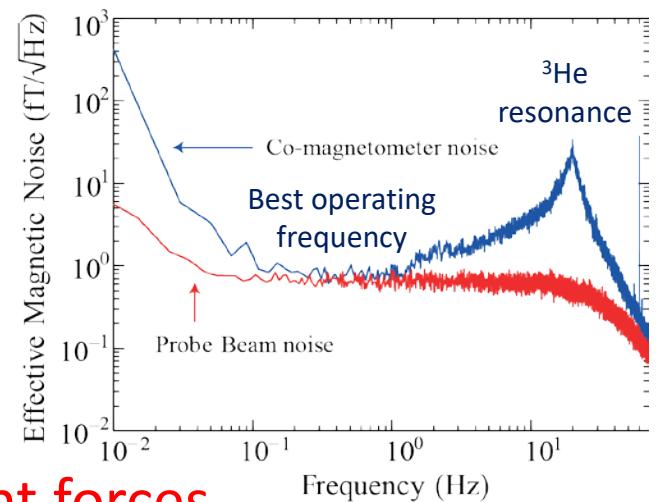
Neutron non-magnetic spin-spin force

10^{22} polarized ^3He spins,
direction reversed every
3 sec by NMR

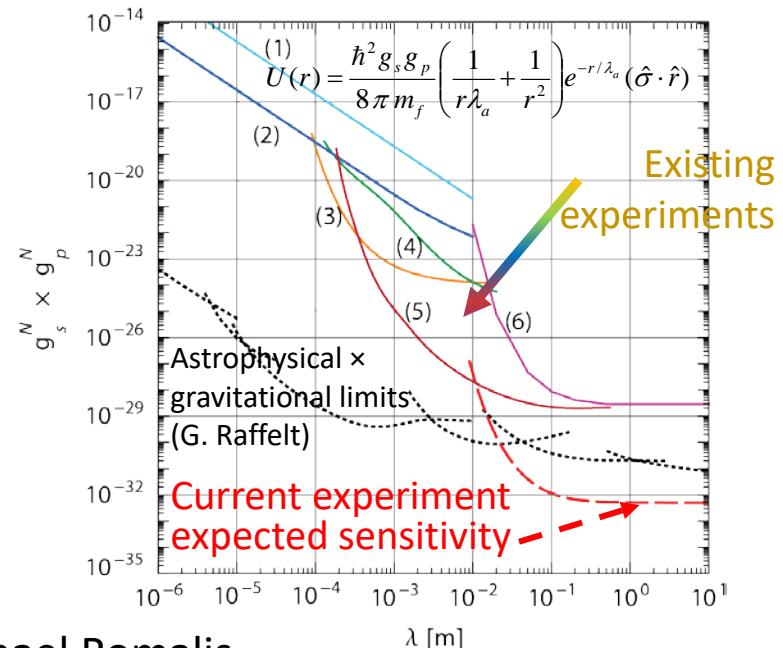


Sensitivity (1σ) = $18 \text{ pHz} = 4.3 \cdot 10^{-35} \text{ GeV}$
Smallest frequency shift ever measured

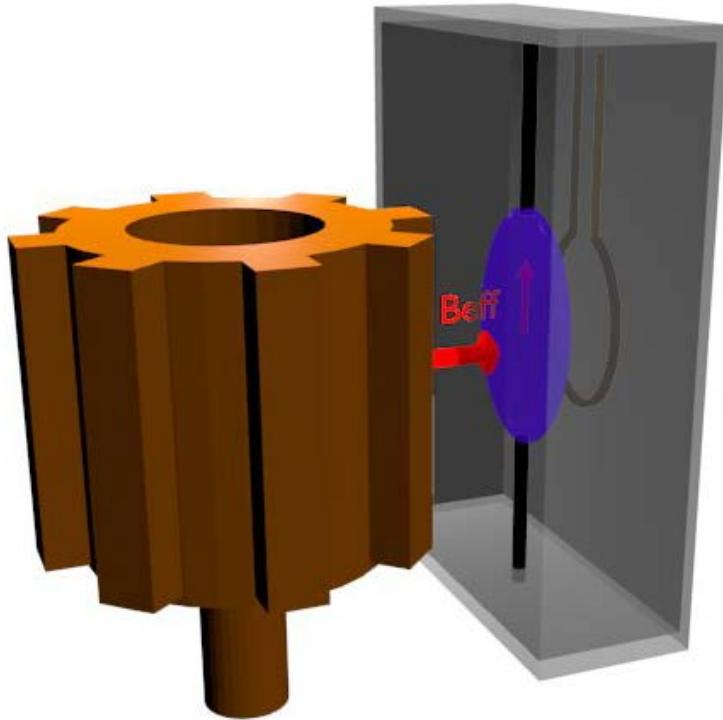
G. Vasilakis, J. M. Brown, T. W. Kornack, MVR, Phys.
Rev. Lett. **103**, 261801 (2009)



Spin-mass CP-odd force



The Axion Resonant InterAction Detection Experiment (ARIADNE)



A. Arvanitaki and AG., *Phys. Rev. Lett.* 113, 161801 (2014).

Mark Cunningham (UNR)
Mindy Harkness (UNR)
Jordan Dargert (UNR)
Chloe Lohmeyer (UNR)
Asimina Arvanitaki (Perimeter)
Aharon Kapitulnik (Stanford)
Eli Levenson-Falk (Stanford)
Sam Mumford (Stanford)
Josh Long (IU)
Chen-Yu Liu (IU)
Mike Snow (IU)
Erick Smith (IU)
Justin Shortino (IU)
Mofan Zhang (IU)
Andrew Rusch (IU)
Yannis Semertzidis (CAPP)
Yun Shin (CAPP)
Yong-Ho Lee (KRISS)



ibS Institute for Basic Science

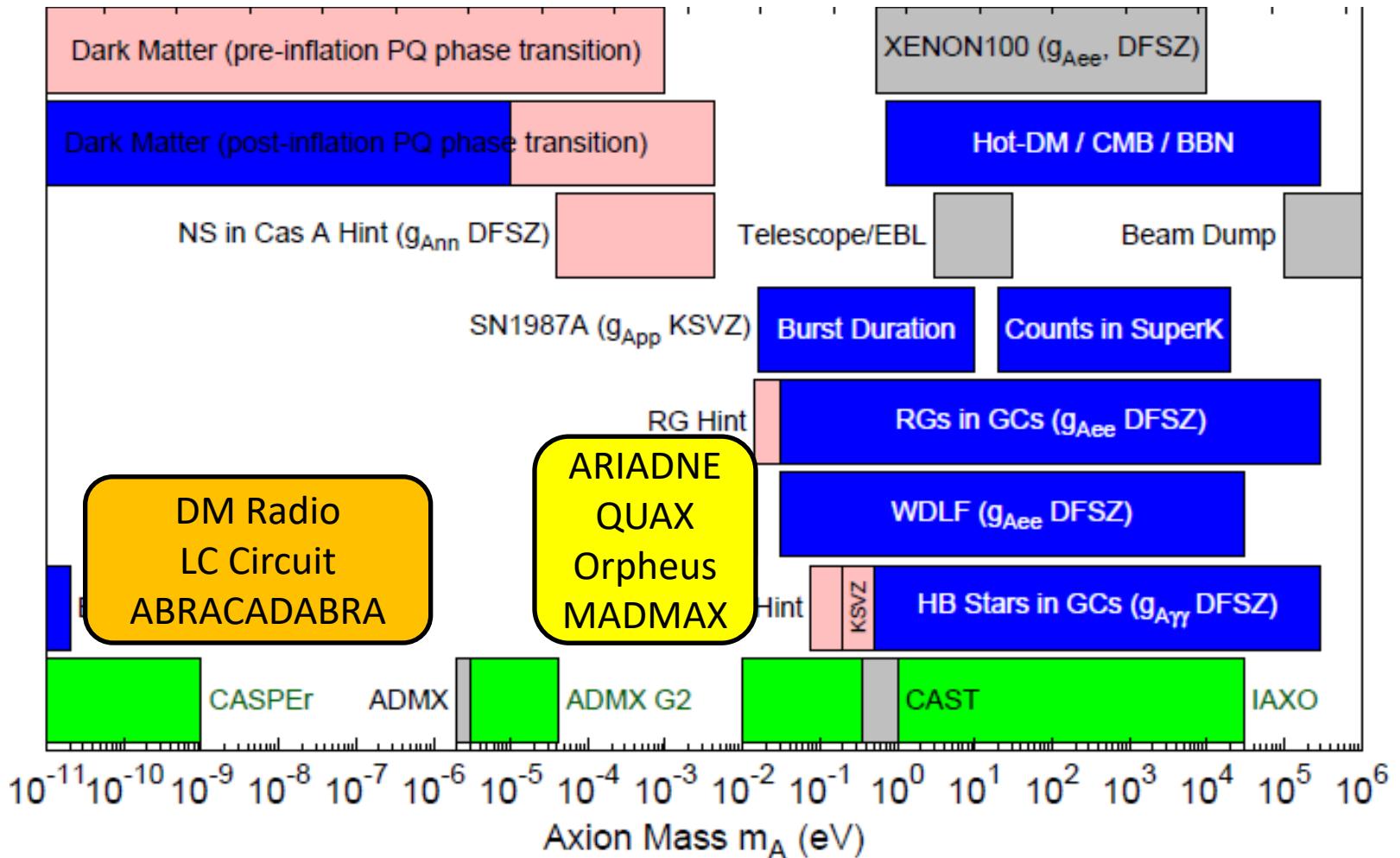
N
University of Nevada, Reno

PI
PERIMETER INSTITUTE
FOR THEORETICAL PHYSICS

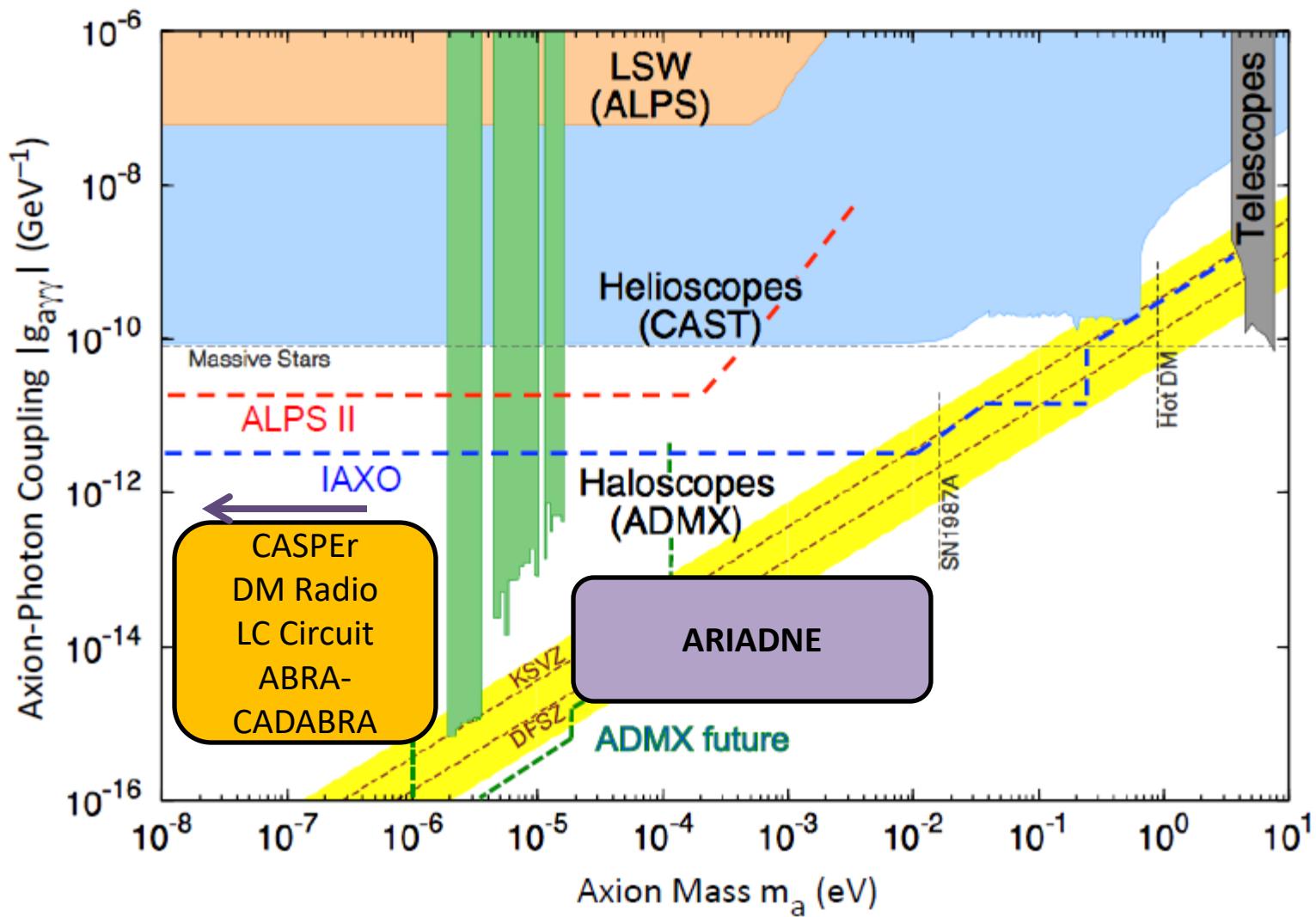
IU
INDIANA UNIVERSITY



QCD Axion parameter space



Axion Parameter space



Axion and ALP searches

Source	Coupling	
Photons	Nucleons	
Dark Matter (Cosmic) axions	ADMX, ADMX-HF DM Radio, ABRA- CADABRA, LC Circuit, MADMAX	CASPER-Electric CASPER-Wind
Solar axions	CAST IAXO	
Lab-produced axions	Light-shining-thru- walls (ALPS, ALPS-II)	ARIADNE

Axion-exchange between nucleons

- Scalar coupling $\propto \theta_{\text{QCD}}$

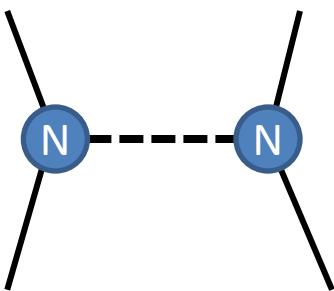
$$\mathcal{L} \supset \frac{\theta_{\text{QCD}}}{f_a} \mu a \bar{\psi} \psi$$

- Pseudoscalar coupling

In the non-relativistic limit:

$$\mathcal{L} \supset \frac{\vec{\nabla} a}{f_a} \cdot \vec{\sigma}$$

Axion acts a force mediator between nucleons



$$(g_s^N)^2$$

Monopole-monopole

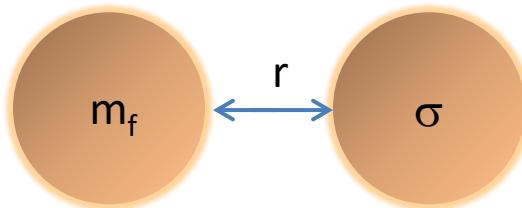
A diagram showing a blue circular node labeled 'N' connected by a dashed line to a red oval representing an axion field. The oval is labeled with the mathematical expression $g_s^N g_P^N$.

Monopole-dipole

$$(g_p^N)^2$$

dipole-dipole

Spin-dependent forces



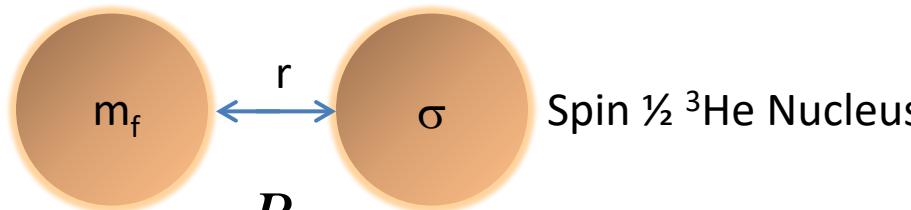
Monopole-Dipole axion exchange

$$U(r) = \frac{\hbar^2 g_s^N g_p^N}{8\pi m_f} \left(\frac{1}{r\lambda_a} + \frac{1}{r^2} \right) e^{-r/\lambda_a} (\hat{\sigma} \cdot \hat{r}) \equiv \mu \cdot B_{\text{eff}}$$

Fictitious magnetic field

- Different than ordinary B field
- Does not couple to angular momentum
- Unaffected by magnetic shielding

Using NMR for detection



$$U = \mu \cdot B_{\text{ext}}$$

Bloch Equations

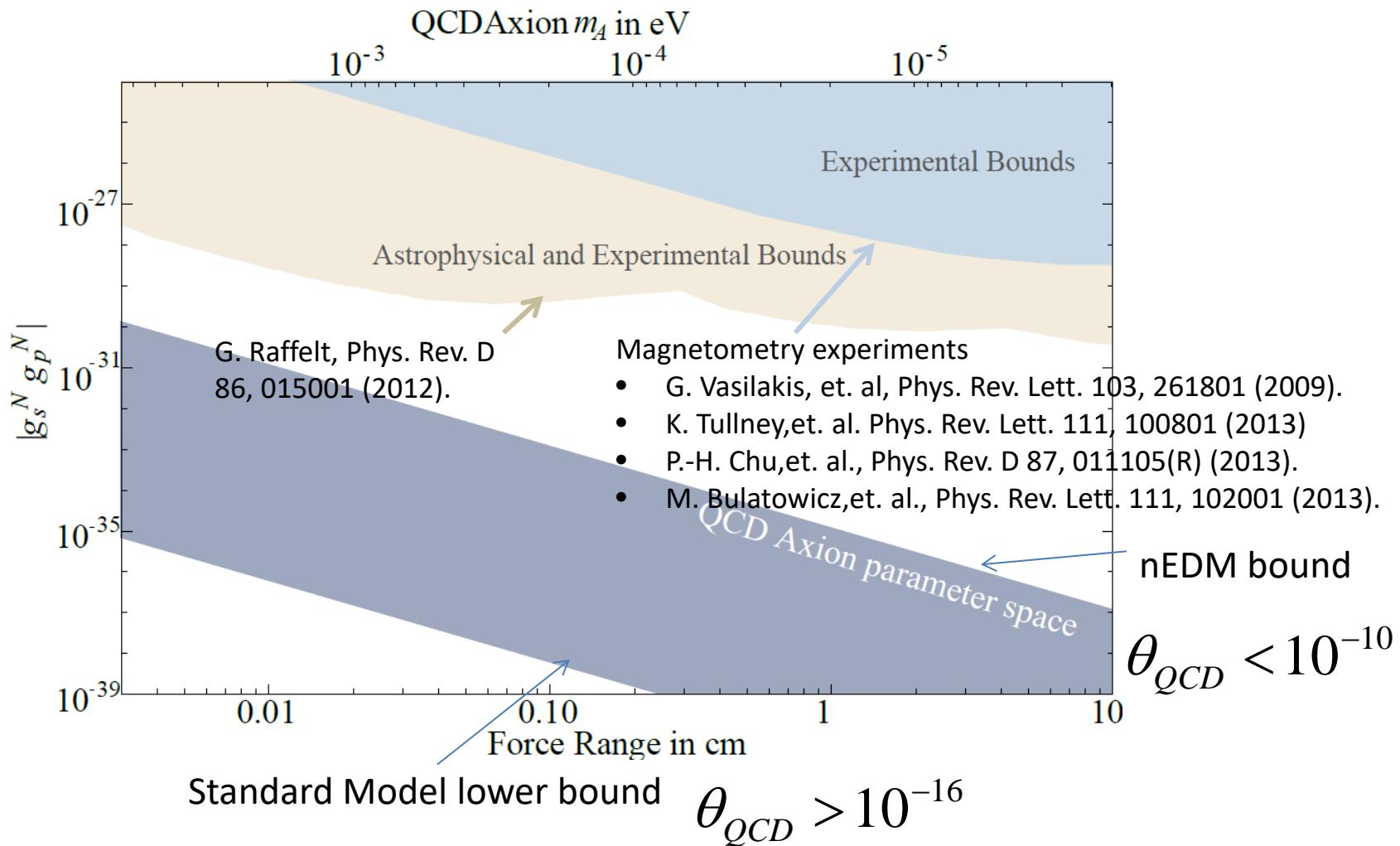
$$\frac{d\vec{M}}{dt} = \gamma \vec{M} \times \vec{B}$$

An energy level diagram for a spin $\frac{1}{2}$ system. Two horizontal blue lines represent energy levels. Above the top line is the state $|\uparrow\rangle$. Below the bottom line is the state $|\downarrow\rangle$. To the right of the lines, the equation $\omega = \frac{2\mu_N \cdot B_{\text{ext}}}{\hbar}$ is shown.

Spin precesses at nuclear spin Larmor frequency $\omega = \gamma B$

Axion B_{eff} modifies measured Larmor frequency

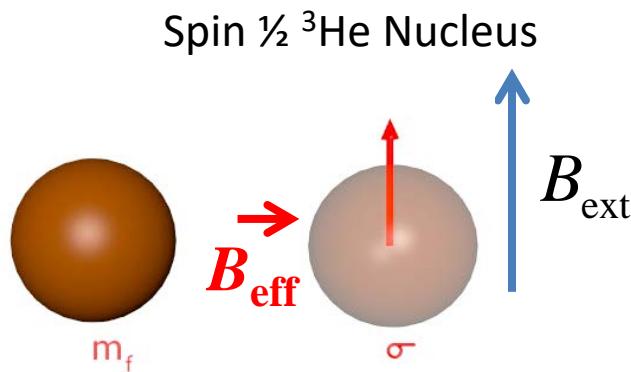
Constraints on spin dependent forces



ARIADNE: uses resonant enhancement

Oscillate the mass at Larmor frequency

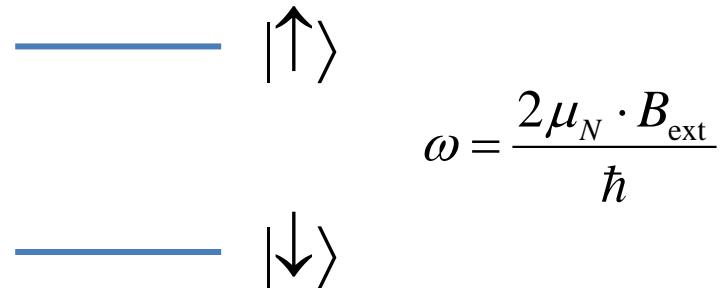
$$B_{\text{eff}} = B_{\perp} \cos(\omega t)$$



$$U = \mu \cdot B_{\text{ext}}$$

Bloch Equations

$$\frac{d\vec{M}}{dt} = \gamma \vec{M} \times \vec{B}$$



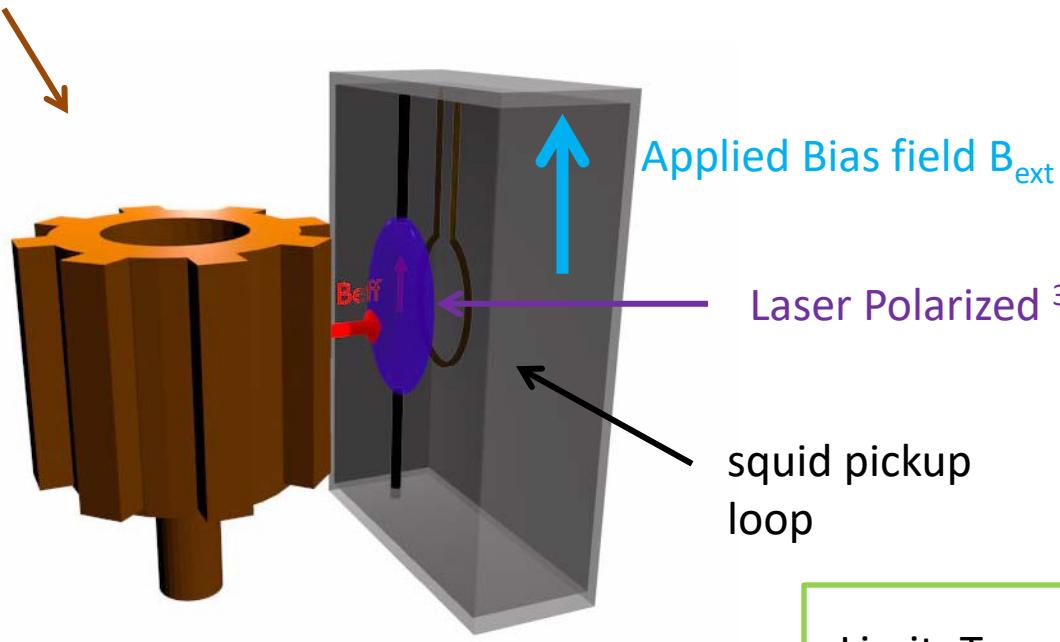
Time varying Axion B_{eff} drives spin precession
→ produces transverse magnetization

Amplitude is resonantly enhanced by Q factor $\sim \omega T_2$.

Can be detected with a SQUID

Concept for ARIADNE

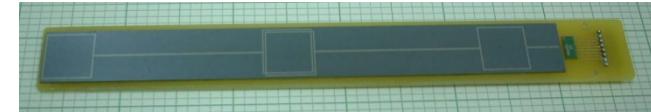
Unpolarized (tungsten) segmented cylinder sources B_{eff}



$$\omega = \frac{2\mu_N \cdot B_{\text{ext}}}{\hbar}$$

Laser Polarized ^3He gas senses B_{eff} (Indiana U)

Y.-H. Lee (KRISS)



Limit: Transverse spin projection noise

$$B_{\min} \approx p^{-1} \sqrt{\frac{2\hbar}{n_s \mu_{^3\text{He}} \gamma V T_2}} = 10^{-20} \frac{T}{\sqrt{\text{Hz}}} \times \left(\frac{1}{p}\right) \left(\frac{1 \text{ cm}^3}{V}\right)^{1/2} \left(\frac{10^{21} \text{ cm}^{-3}}{n_s}\right)^{1/2} \left(\frac{1000 \text{ sec}}{T_2}\right)^{1/2}$$

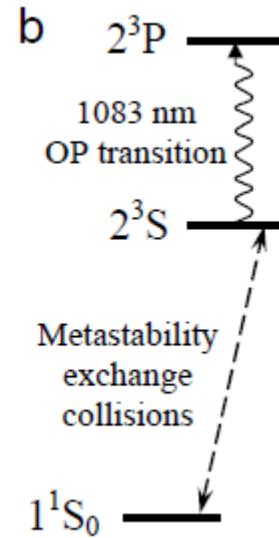
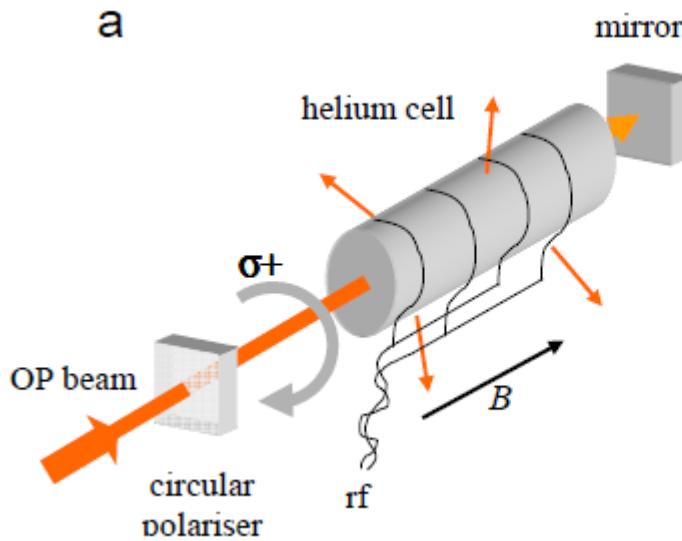
Hyperpolarized ^3He

- Ordinary magnetic fields cannot be used to reach near unity polarization

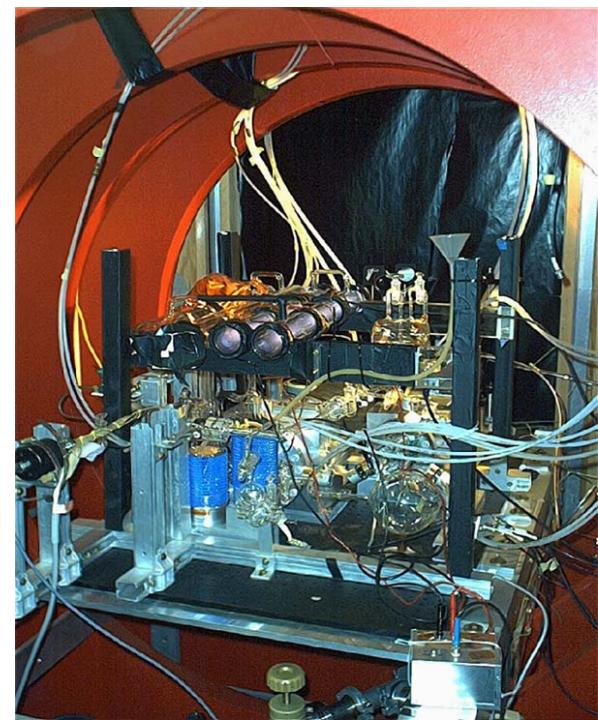
$$\exp[-\mu_N B / k_B T]$$

Optical pumping techniques

- Metastability exchange optical pumping

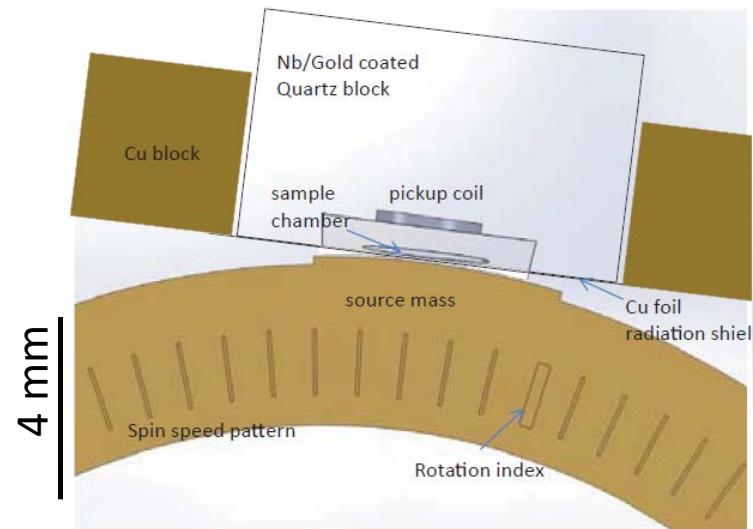
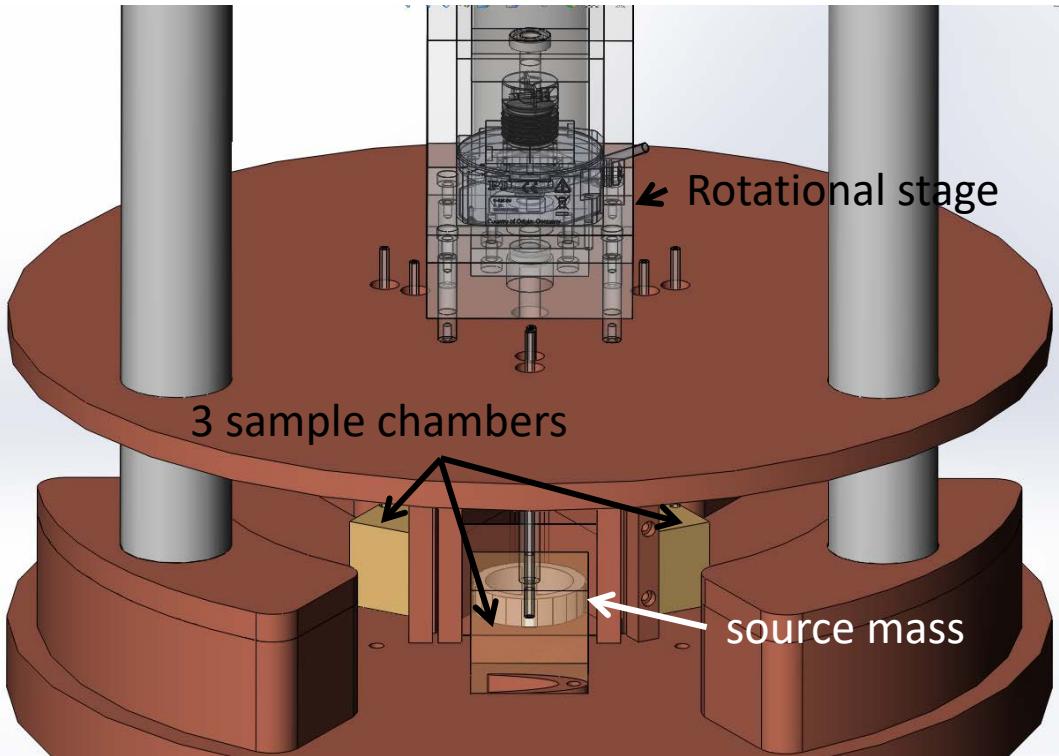


Indiana U. MEOP apparatus



Rev. Sci. Instrum. 76, 053503 (2005)

Experimental parameters



11 segments

100 Hz nuclear spin precession frequency

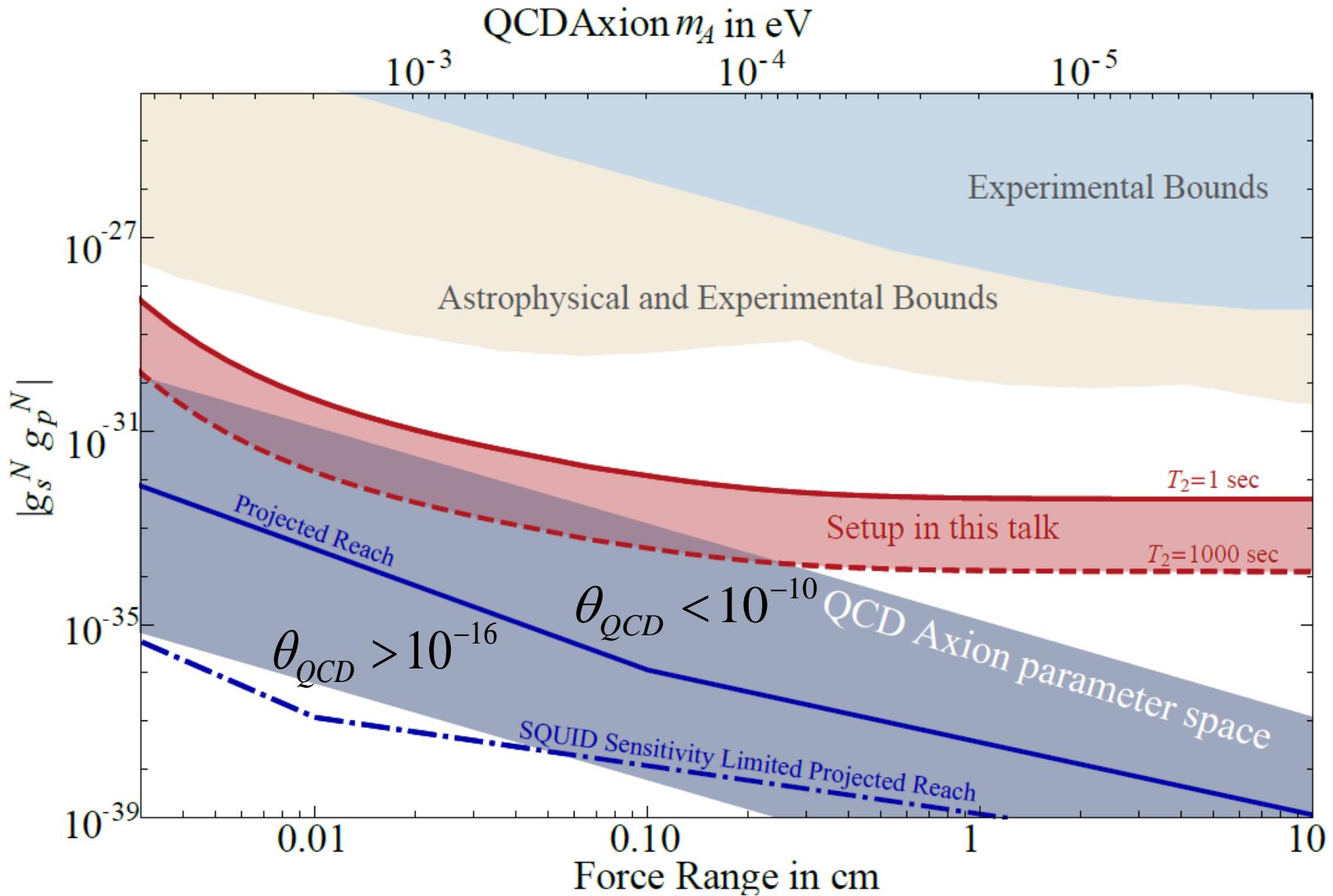
$2 \times 10^{21} / \text{cc}$ ^3He density

10 mm x 3 mm x 150 μm volume

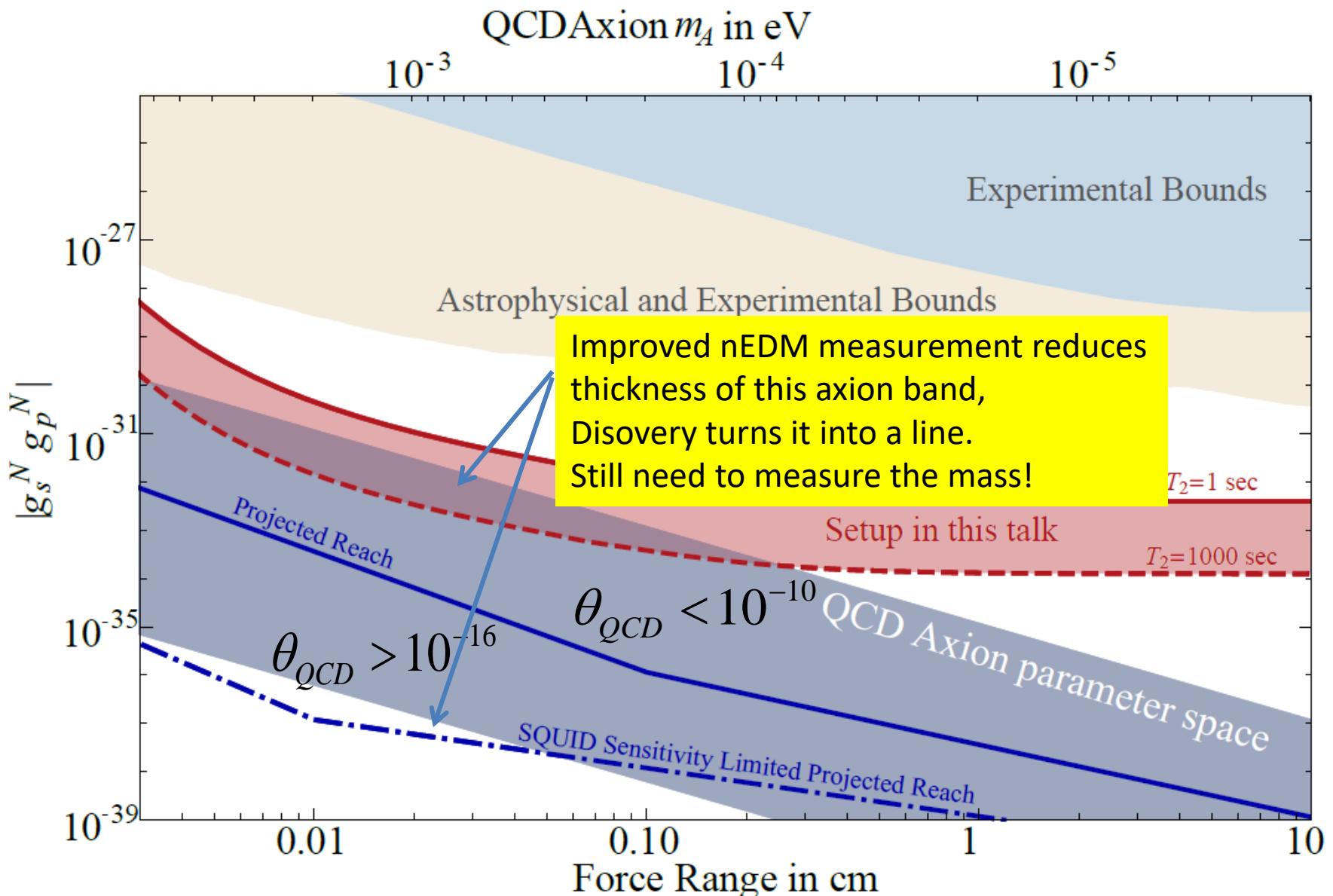
Separation 200 μm

Tungsten source mass (high nucleon density)

Sensitivity



Complementarity with nEDM experiments



Experimental challenges

Systematic Effect/Noise source	Background Level	Notes
Magnetic gradients	3×10^{-6} T/m	Limits T_2 to ~ 100 s
Vibration of mass	10^{-22} T	Possible to improve w/shield geometry
External vibrations	5×10^{-20} T/ $\sqrt{\text{Hz}}$	For $10\text{ }\mu\text{m}$ mass wobble at ω_{rot}
Patch Effect	$10^{-21} \left(\frac{V_{\text{patch}}}{0.1V} \right)^2$ T	For $1\text{ }\mu\text{m}$ sample vibration (100 Hz)
Flux noise in squid loop	2×10^{-20} T/ $\sqrt{\text{Hz}}$	Can reduce with V applied to Cu foil
Trapped flux noise in shield	7×10^{-20} $\frac{\text{T}}{\sqrt{\text{Hz}}}$	Assuming $1\mu\Phi_0/\sqrt{\text{Hz}}$
Johnson noise	$10^{-20} \left(\frac{10^8}{f} \right) \text{T}/\sqrt{\text{Hz}}$	Assuming 10 cm^{-2} flux density
Barnett Effect	$10^{-22} \left(\frac{10^8}{f} \right)$ T	f is SC shield factor (100 Hz)
Magnetic Impurities in Mass	$10^{-25} - 10^{-17} \left(\frac{\eta}{1\text{ppm}} \right) \left(\frac{10^8}{f} \right)$ T	Can be used for calibration above 10 K
Mass Magnetic Susceptibility	$10^{-22} \left(\frac{10^8}{f} \right)$ T	η is impurity fraction (see text)
		Assuming background field is 10^{-10} T
		Background field can be larger if $f > 10^8$

Table 1: Table of estimated systematic error and noise sources, as discussed in the text. The projected sensitivity of the device is $3 \times 10^{-19} \left(\frac{1000\text{s}}{T_2} \right)$ T/ $\sqrt{\text{Hz}}$

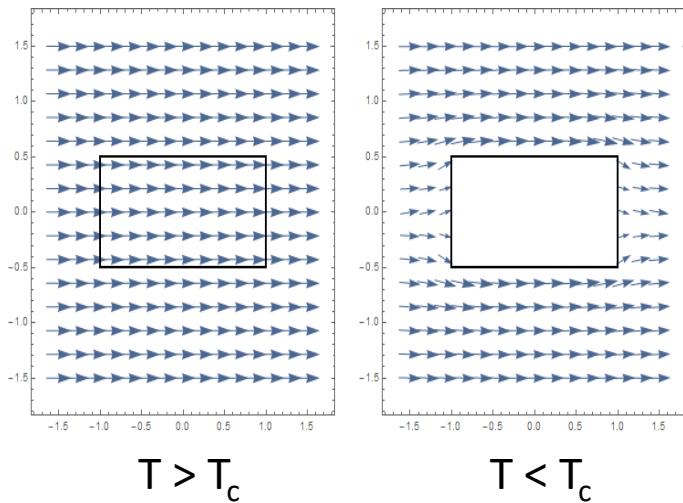
- Design/Simulation Work: Magnetic gradient reduction strategy
- Experimental testing in progress: Vibration tests, Shielding factor f test thin-film SC

Superconducting Magnetic Shielding

→ Essential to avoid Johnson noise

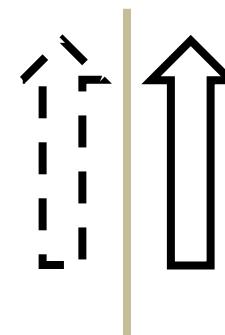
Meissner Effect

- No magnetic flux across superconducting boundary



Method of Images

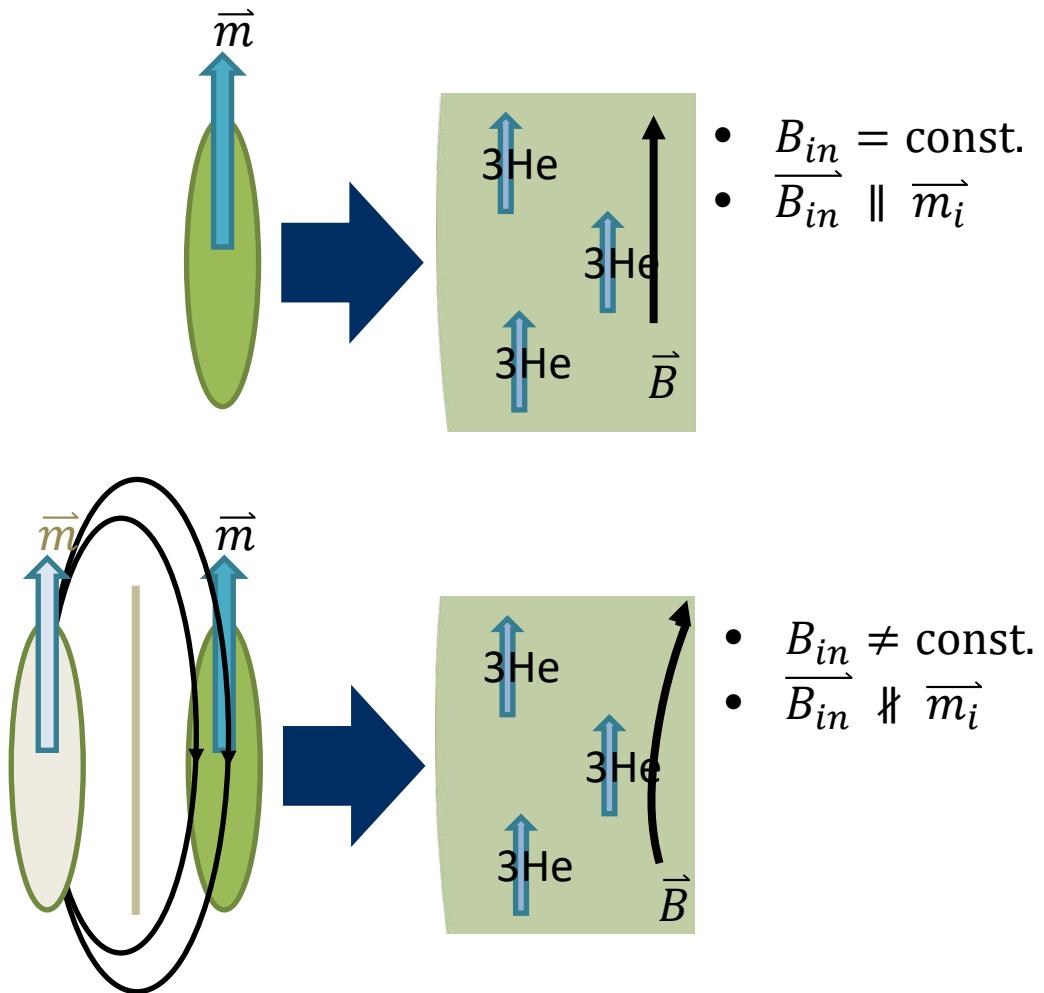
- Make “image currents” mirrored across the superconducting boundary



Dipole with image

The Problem of Unwanted Images

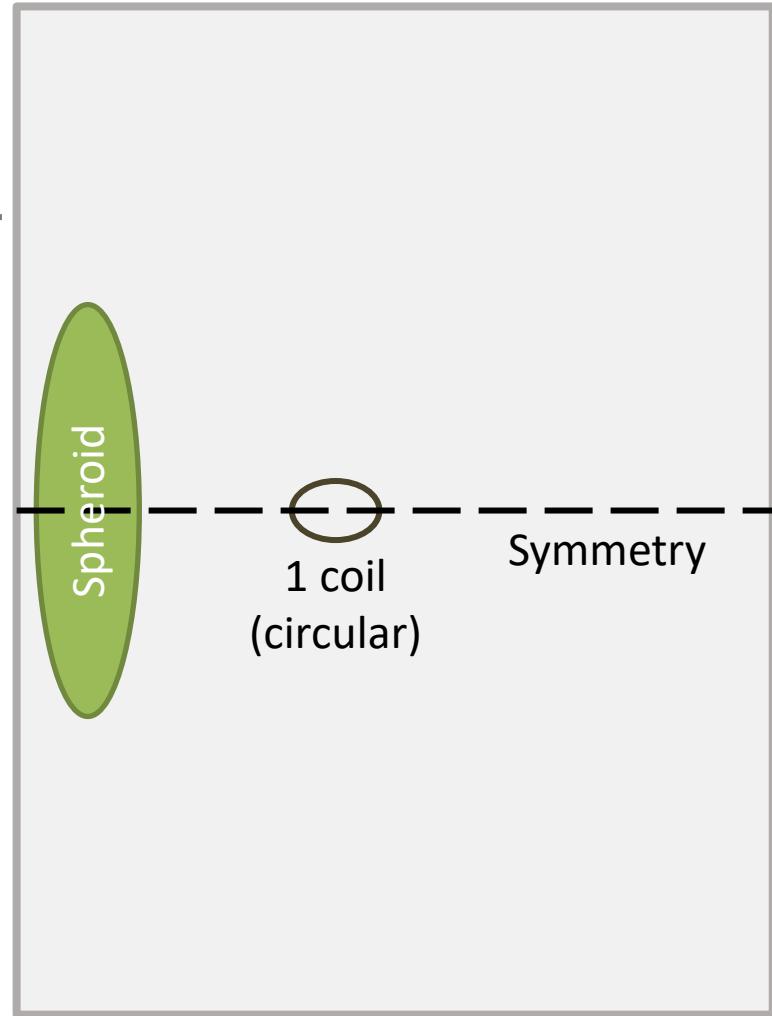
- ARIADNE uses magnetized spheroid
 - Constant interior field
 - Magnetic shielding introduces “image spheroid”
 - Interior field varies
- variations in nuclear Larmor frequency!



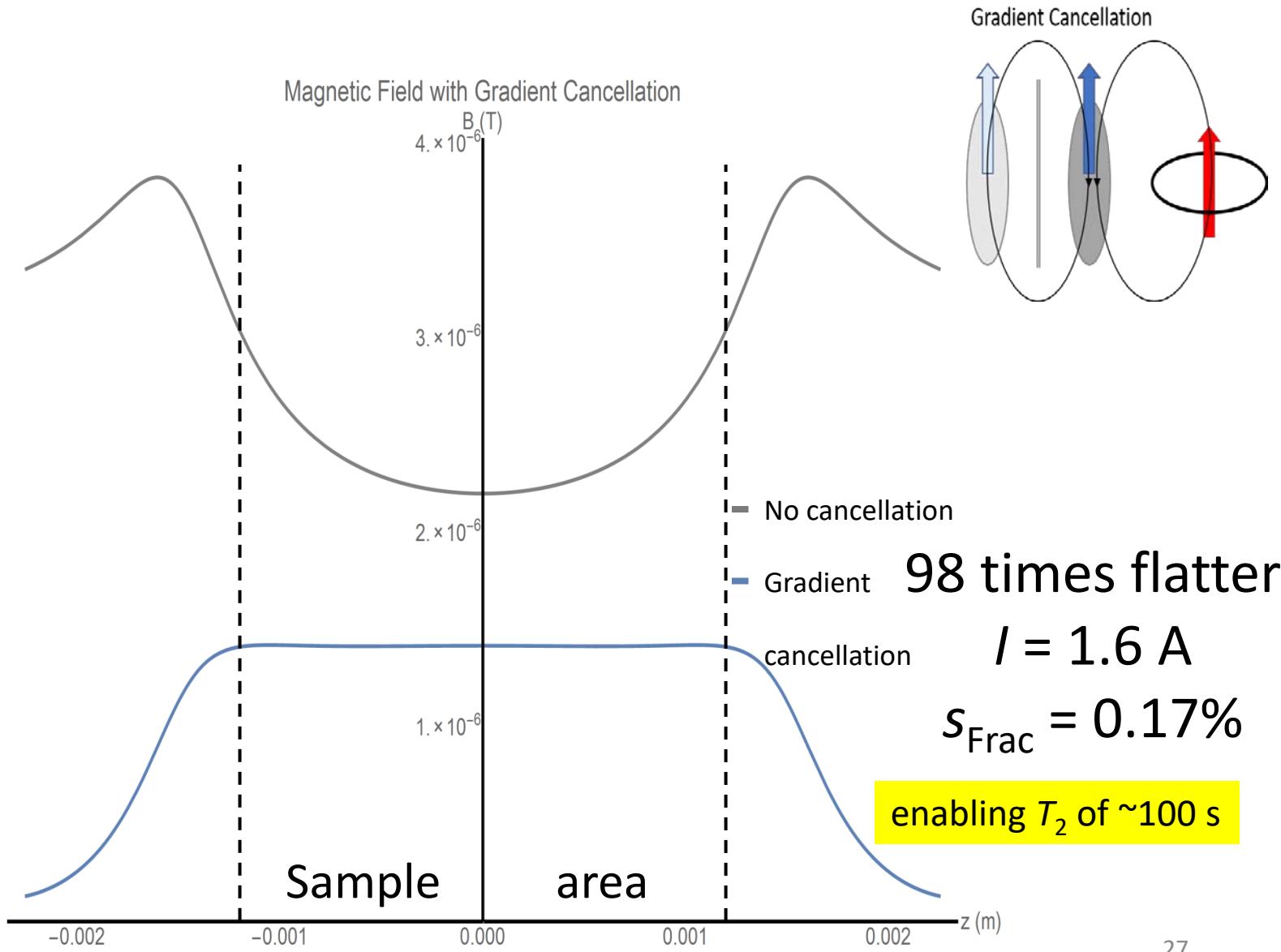
But want to drive entire sample on resonance

Flattening Solution

- 1 coil – simple configuration
- Expected field from spheroid $\sim 1 \mu\text{T}$
 - I on the 0.1 – 1 A range

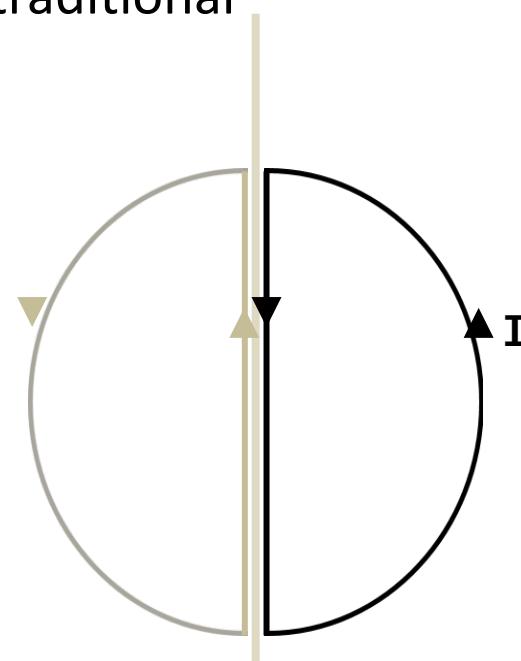


Gradient Cancellation

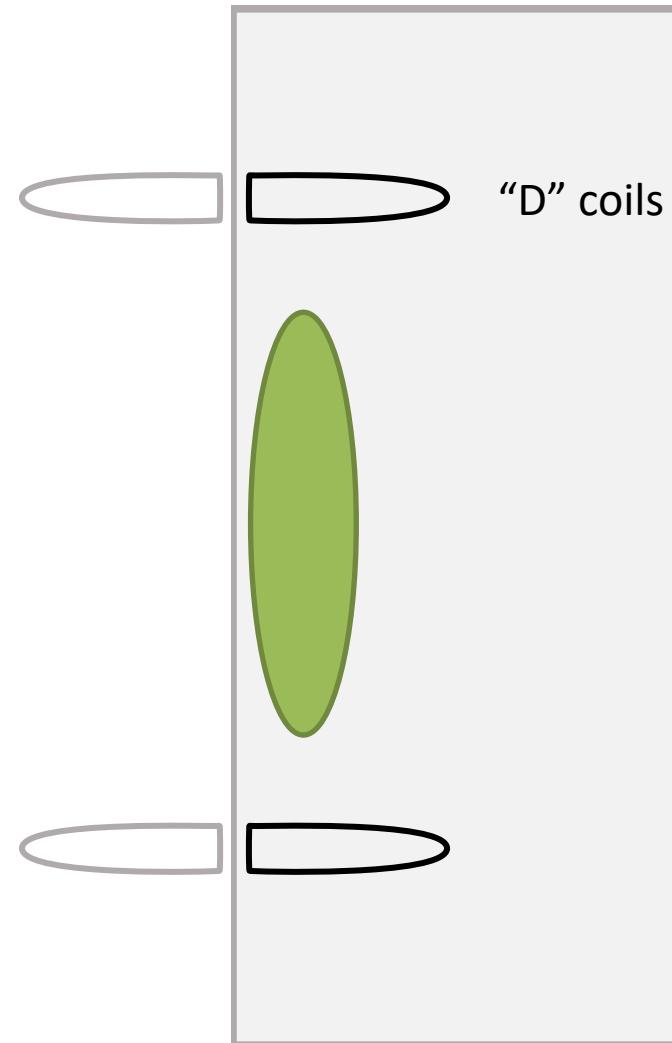


Tuning Solution – “D” Coils

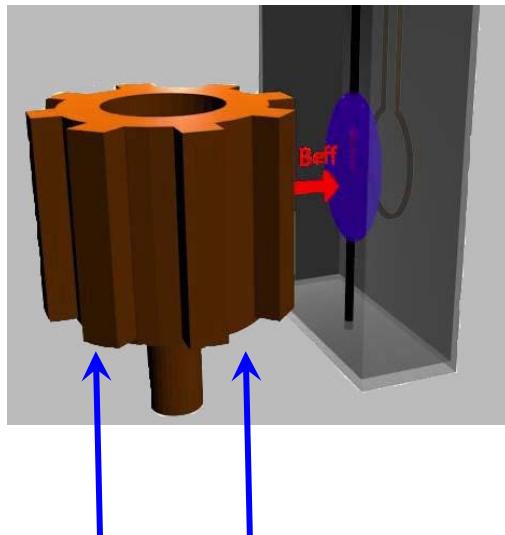
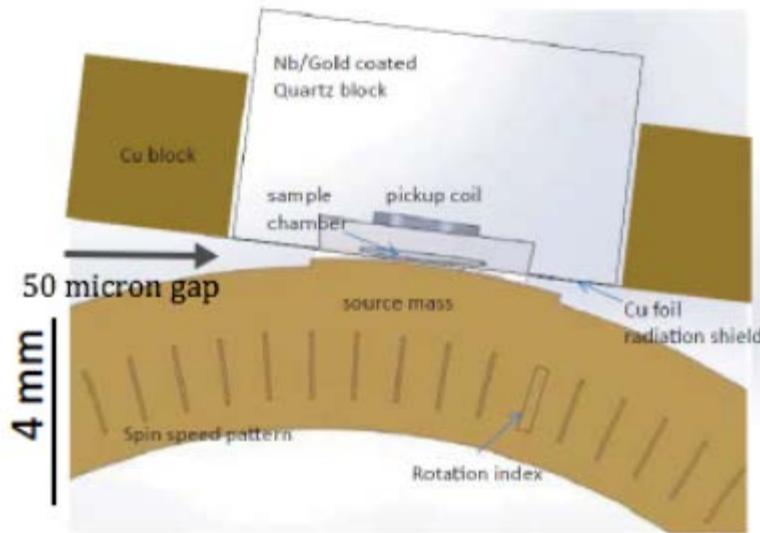
- Tune field with Helmholtz coils
 - Helmholtz field only flat near the center
 - Geometry restrictions prevent the spheroid from being centered in traditional Helmholtz coils
- “D” coils look like Helmholtz coils when their images are included
- Inner straight-line currents cancel
- Outer currents do not



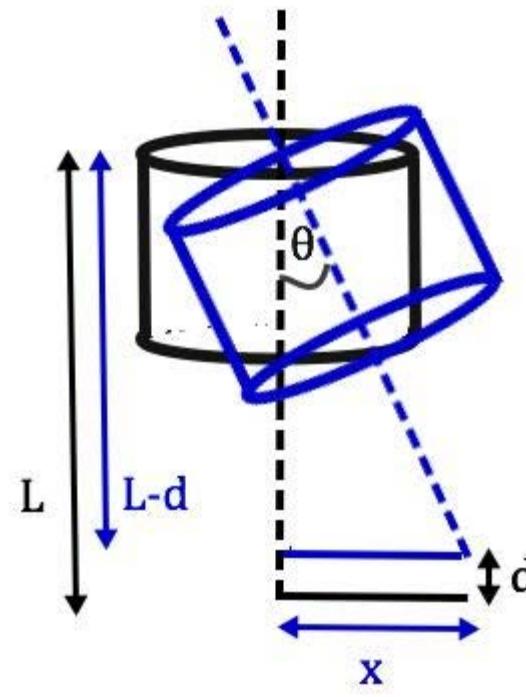
One “D” coil and image (bird’s eye view)



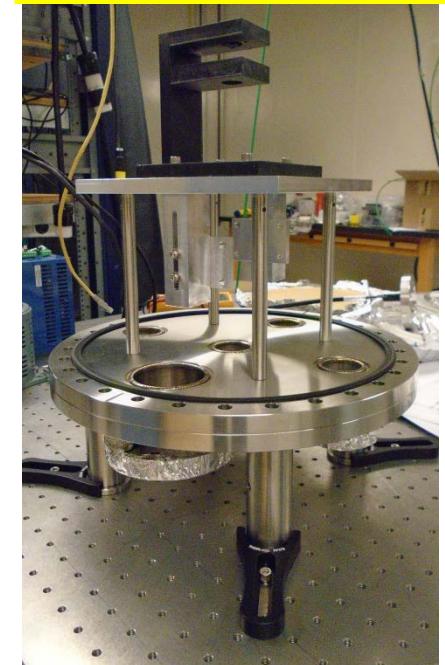
Rotary stage vibration and tilt



Interferometers

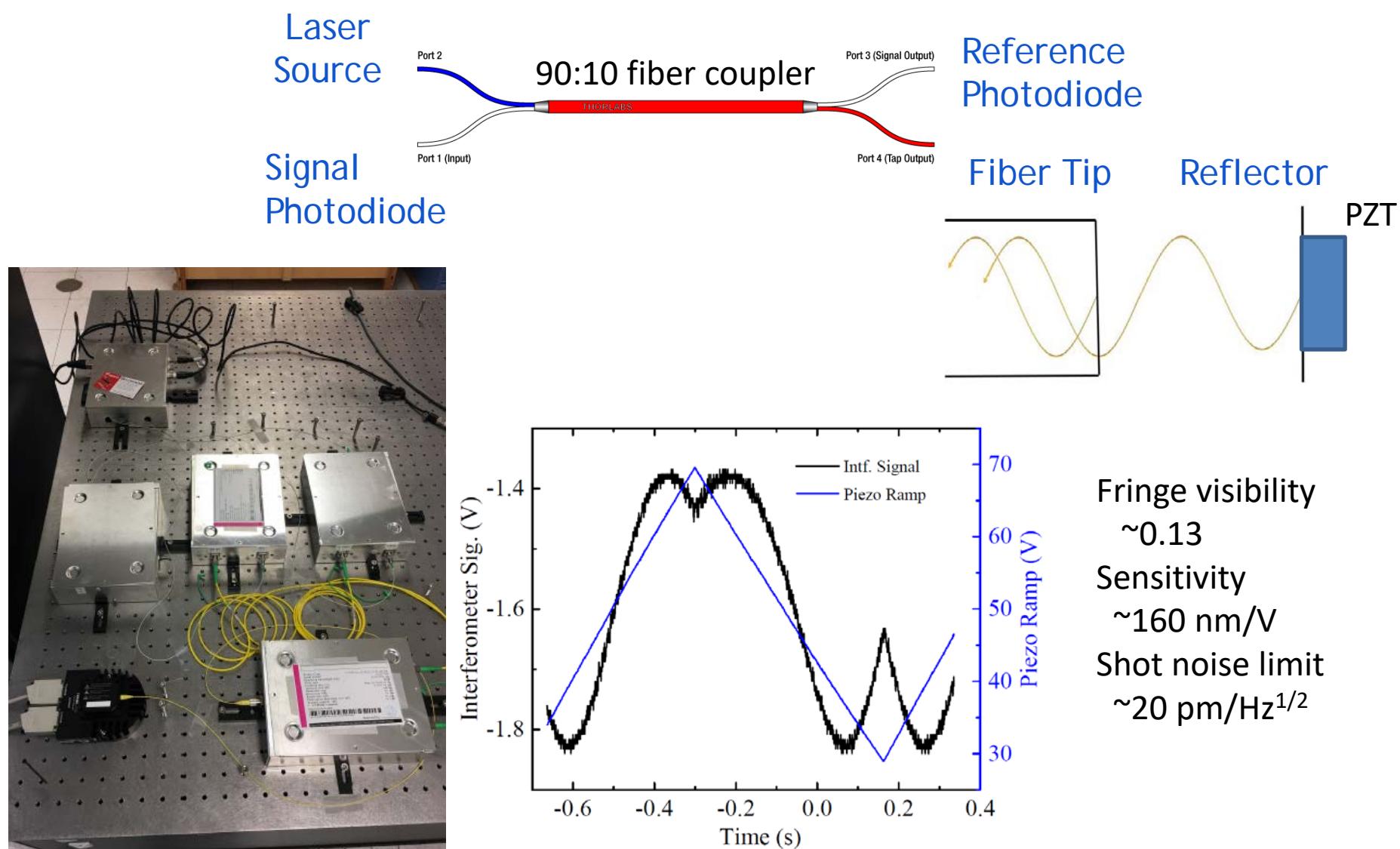


Rotary test chamber



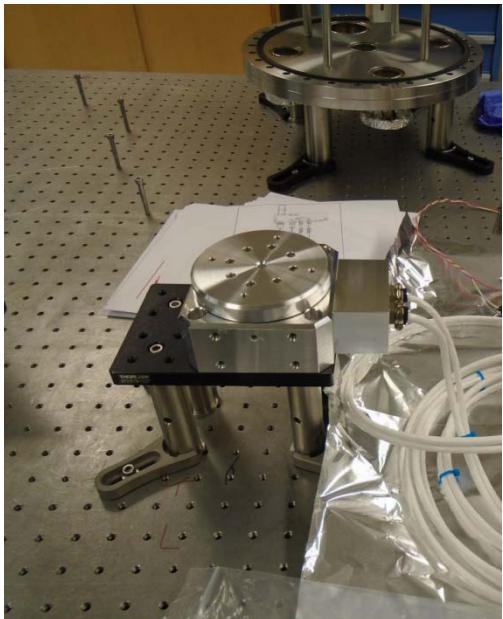
- Build an interferometer to measure the change in distance (d).
- We can find theta (Θ) from:
$$\Theta = \cos^{-1}((L-d)/L)$$
- We can solve for the wobble distance (X) by:
$$X = L\sin(\Theta)$$

Fiber-coupled laser interferometers

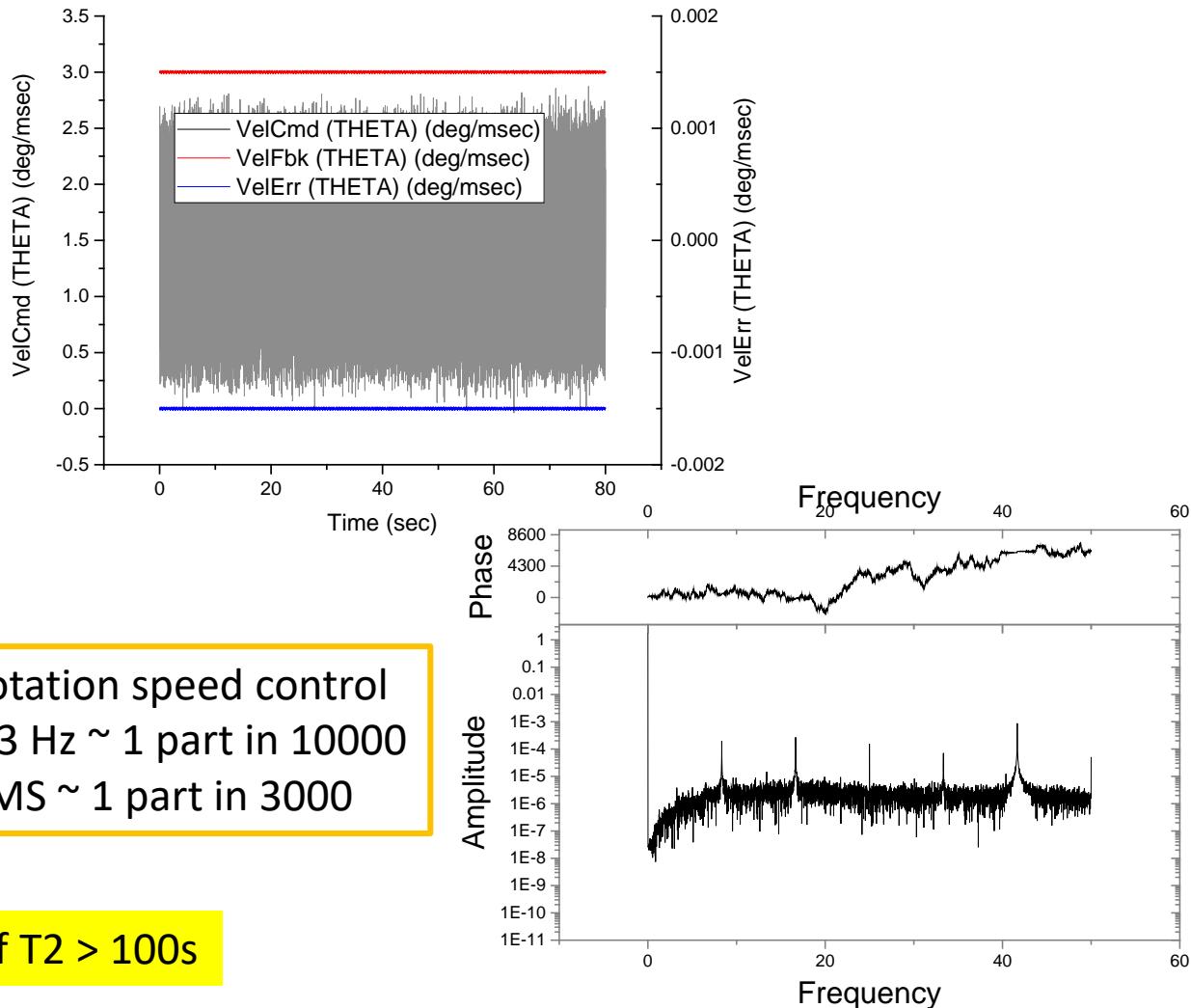


Speed stability test - direct drive stage

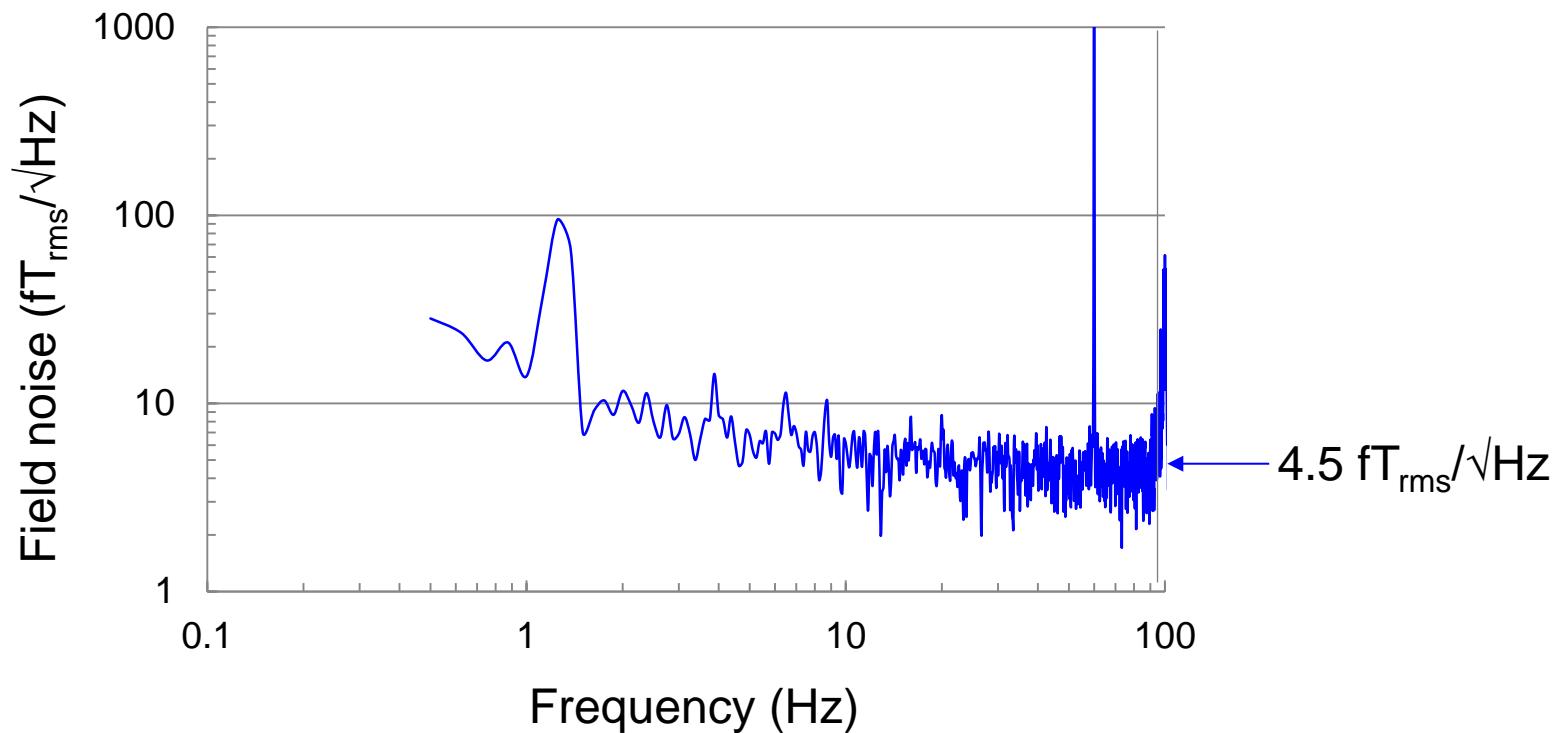
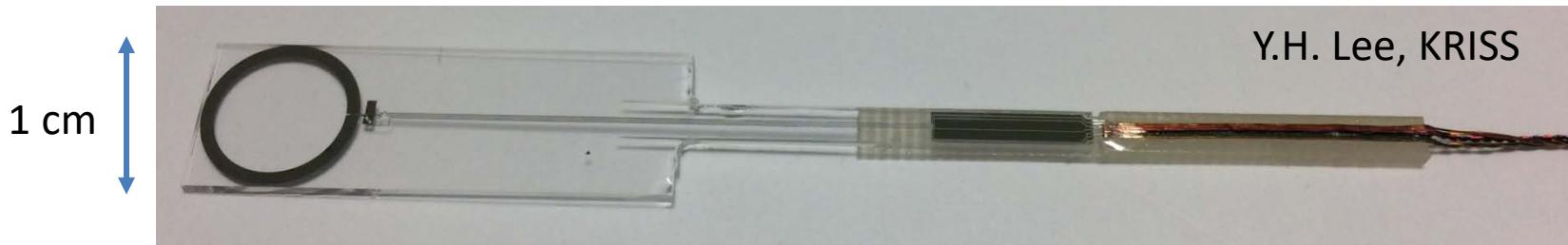
- Optical encoder
- Current feedback control



Stage speed stability error – unloaded, in air



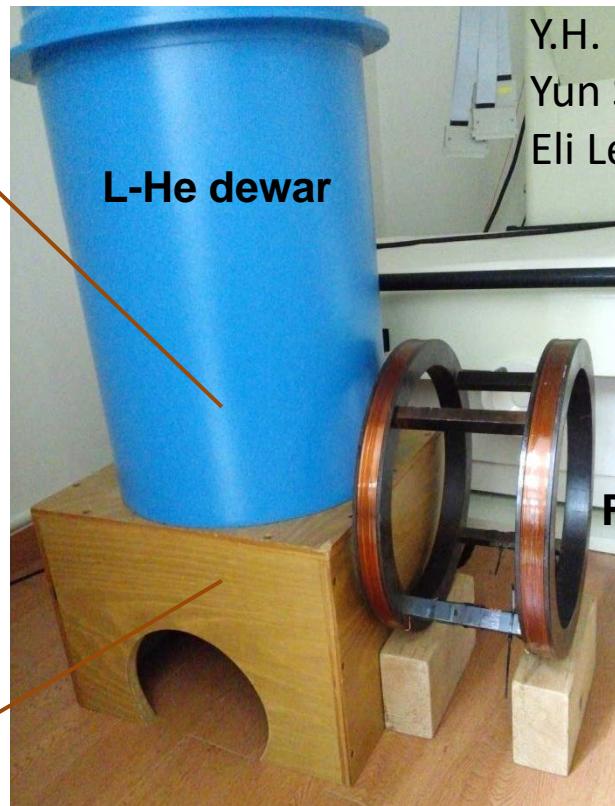
SQUID Magnetometers



Measured inside a magnetically shielded room (without Nb tube)

Preliminary test of superconductive shielding

Nb tube:
23 mm ID
1 mm thick
Length 200 mm



Y.H. Lee, KRISS,
Yun Shin (CAPP)
Eli Levenson-Falk (Stanford)

Applied field: 10-100 μT_{pp} range (at 8 Hz)

SQUID magnetometer: Near the center of Nb tube
Shielding factor: $\approx(0.5-3) \times 10^9$ for transverse field

Goal: 10^8 with thin film Nb SC shield – tests planned Apr 2017

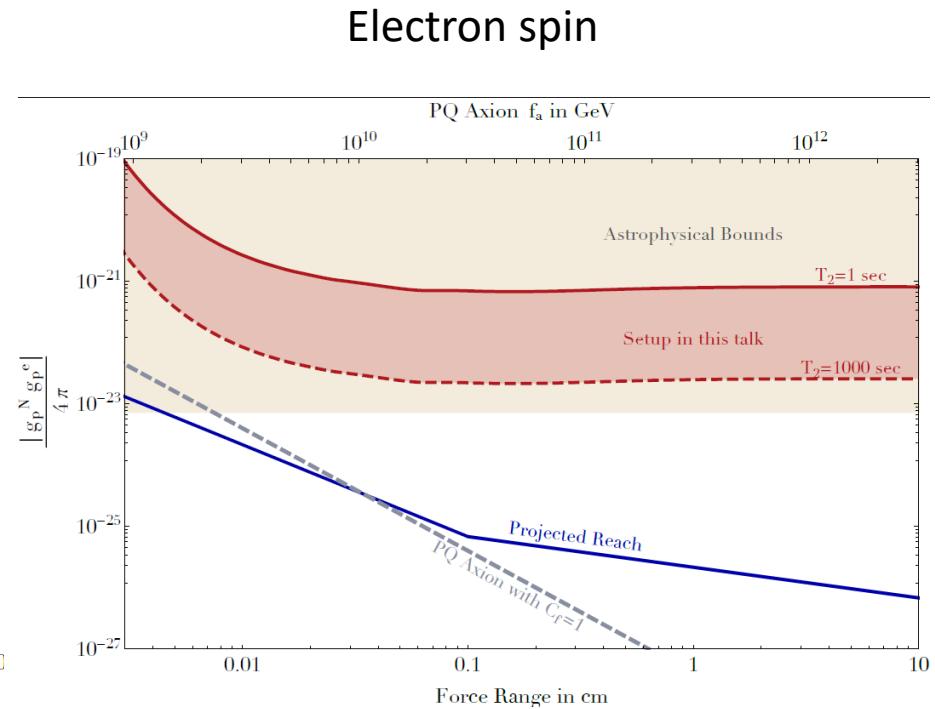
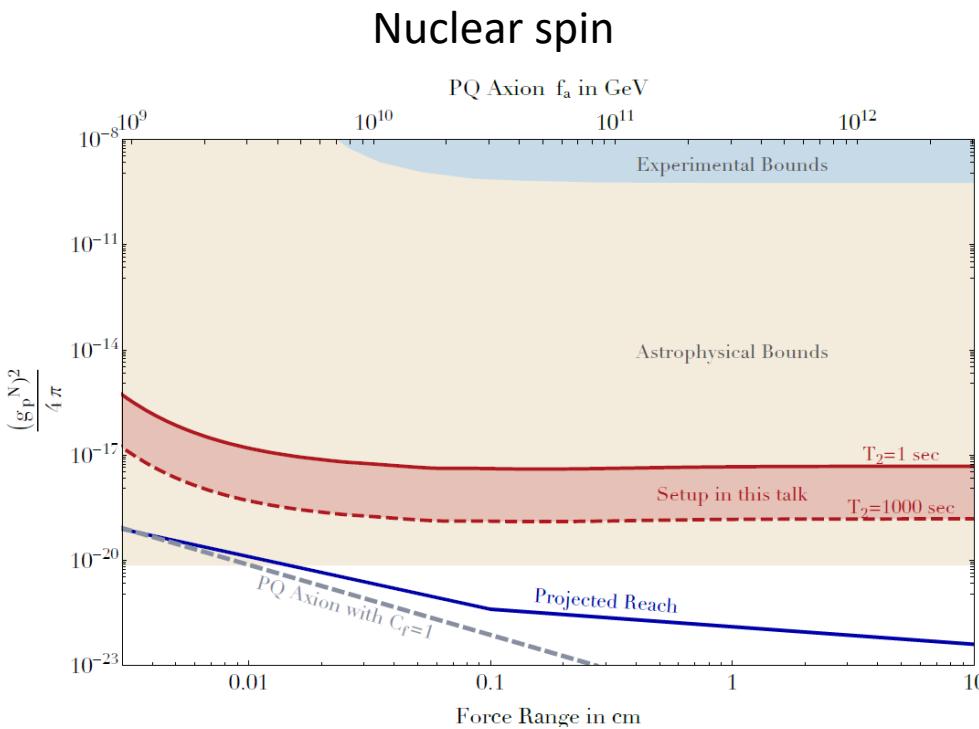
Summary for ARIADNE

ARIADNE → New resonant NMR method

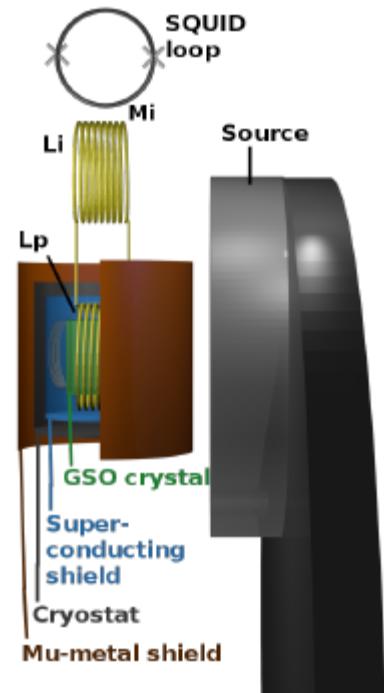
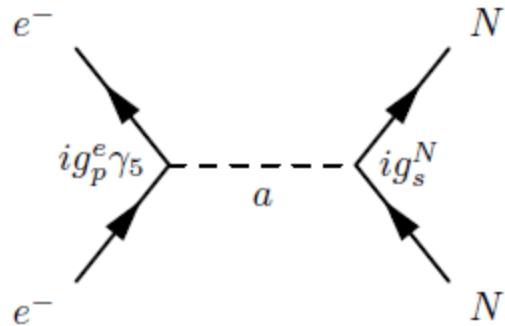
- Gap in experimental QCD axion searches
 $0.1 \text{ meV} < m_a < 10 \text{ meV}$
- Complementary to cavity-type (e.g. ADMX) experiments
- No need to scan mass, indep. of local DM density
- Complementary to nEDM experiments
- Next tests – shielding (Stanford/Korea), vibration (UNR), ^3He system (Indiana)

Dipole-Dipole axion forces

- Spin-polarized source mass
- May be competitive with astrophysical bounds
- Magnetic shielding requirements more stringent



QUAX-gpgs



The experiment (see Ref.[16] for more details) is performed by measuring the magnetization of a cubic sample of gadolinium oxyorthosilicate Gd_2SiO_5 crystal (GSO) with 1 cm edge length, induced by $N_s = 4$ disk shaped lead masses (sources). The distance between the center of mass of each B_{eff} source and the GSO crystal is modulated in time by mounting the masses on a rotating aluminum wheel as illustrated in Fig.(3). Each mass is fixed on the aluminum

New limits from QUAX gsgp (May 2017)

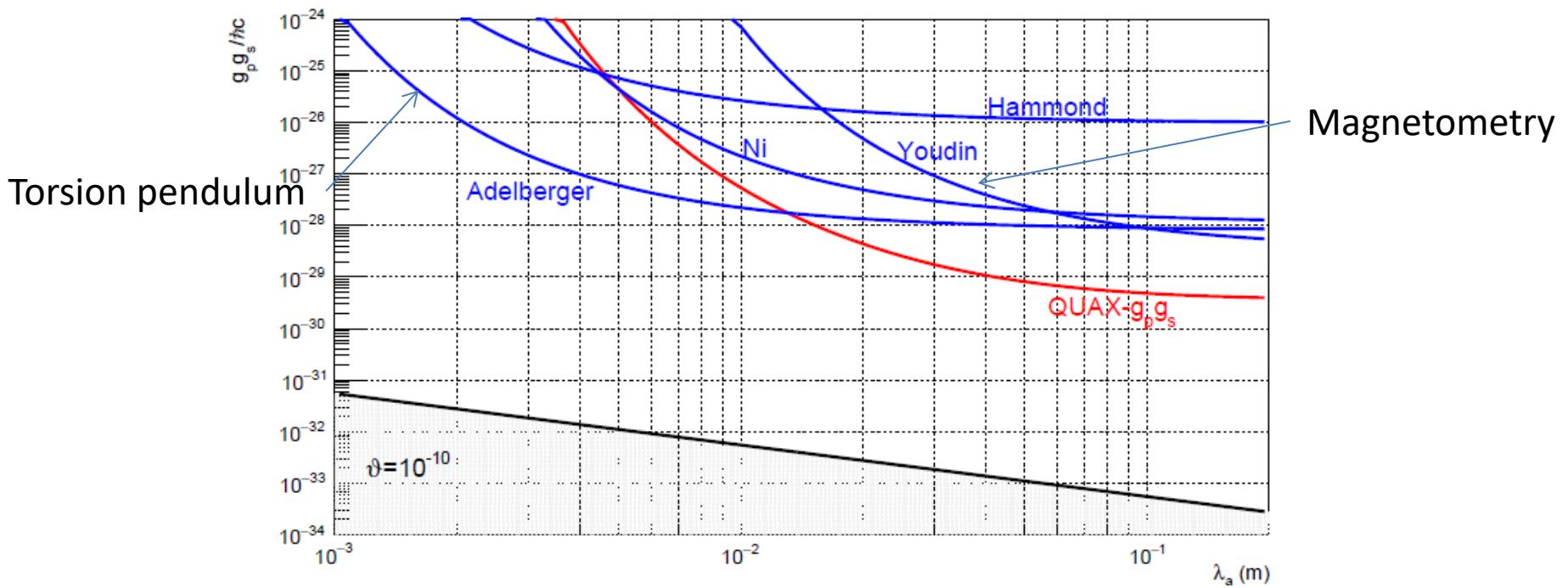
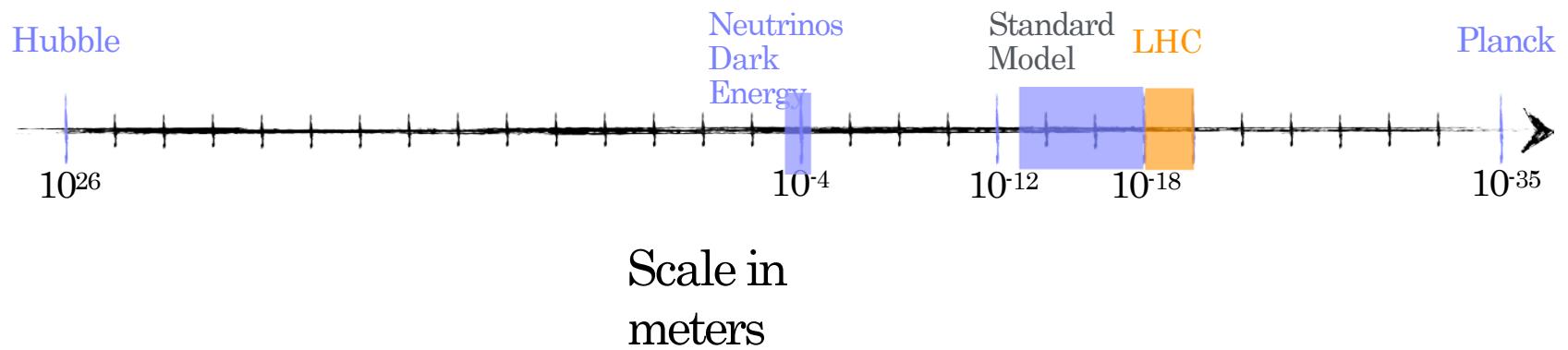


Figure 6: Exclusion plots of monopole-dipole coupling vs. λ_a . The limit on the $g_p^e g_s^N$ coupling is lowered of more than one order of magnitude in respect to the previous measurements for $\lambda \sim 10$ cm (red line). We also show the expected $g_p^e g_s^N$ magnitude in Eq.(2) for $\vartheta \sim 10^{-10}$ in transparent grey and upper limits already reported in literature: Hammond [7], Youdin [9], Ni [8] and Adelberger [18].

Lots of opportunities to probe low energy fundamental physics!

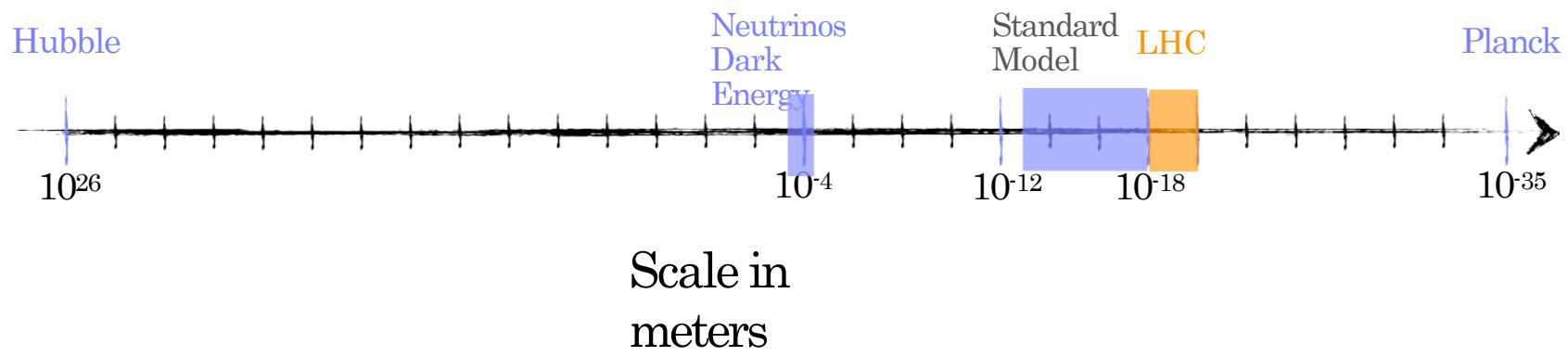
- Short distance gravity tests
 - Equivalence principle tests
 - EDMs
 - Axions
 - Ultralight DM (scalars, axions, ALPS)
 - Gravitational waves
- ...several others

The Length Scales in the Universe



80% of the energy scale left to explore

The Length Scales in the Universe



*There are more things in heaven and earth, Horatio,
Than are dreamt of in your philosophy.*
- Hamlet

80% of the energy scale left to explore