

Convective parameterization

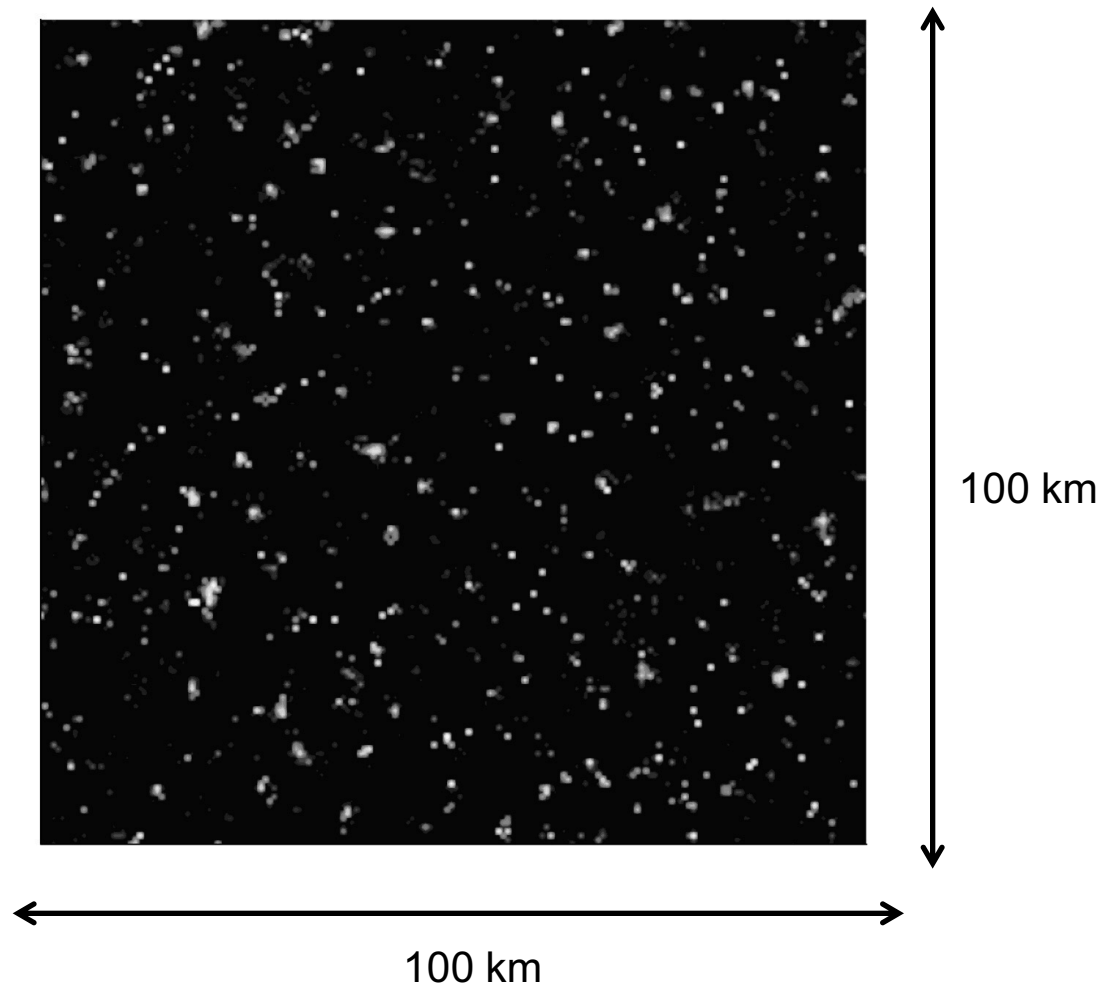
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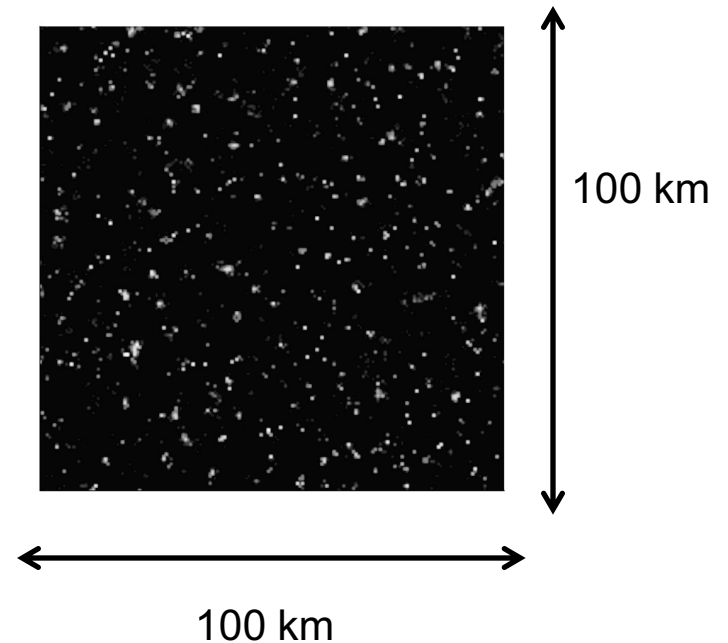
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Convective clouds are smaller than grid spacing



The basic idea

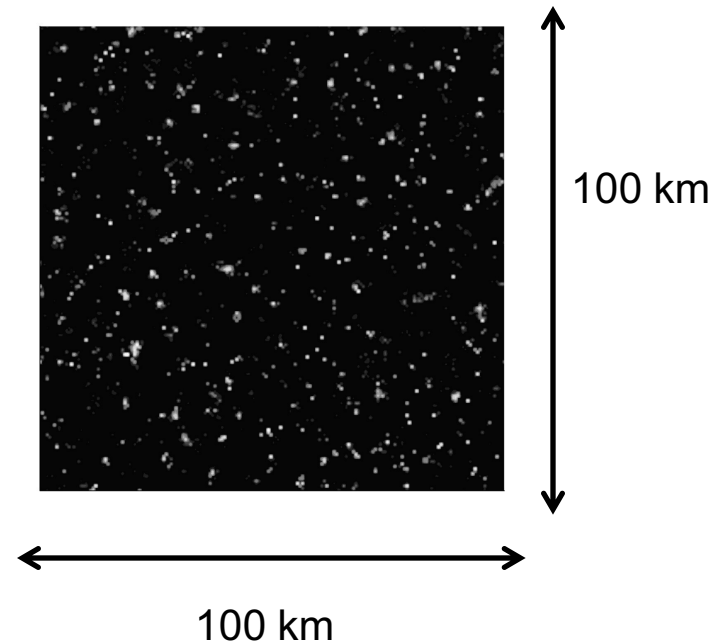
- Represent the statistical effects of convective clouds without representing all individual clouds



The basic idea

$$\frac{\partial \bar{\psi}}{\partial t} = -\frac{1}{\rho} \frac{\partial \overline{\rho u'_i \psi'}}{\partial x_i} + \dots$$

$$\frac{\partial \bar{\psi}}{\partial t} = -\frac{\partial \overline{w' \psi'}}{\partial z} + \dots$$



Outline

1. Job of a convection scheme
2. Type of convection schemes
 - a. Adjustment scheme
 - b. Mass flux scheme
3. The 3 ingredients of a mass flux scheme
4. Representation of organization



1. Job of a convection scheme

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4. Representation of organization



1. Represent effects of convection on resolved large-scale flow



1. Represent effects of convection on resolved large-scale flow

1. Precipitation

- At the surface, how much where and when
- Two sources of precipitation in a GCM:
 - Convective precipitation, from convection scheme, when grid box is not saturated
 - Stratiform (large-scale) precipitation, from microphysics scheme, when grid box is saturated

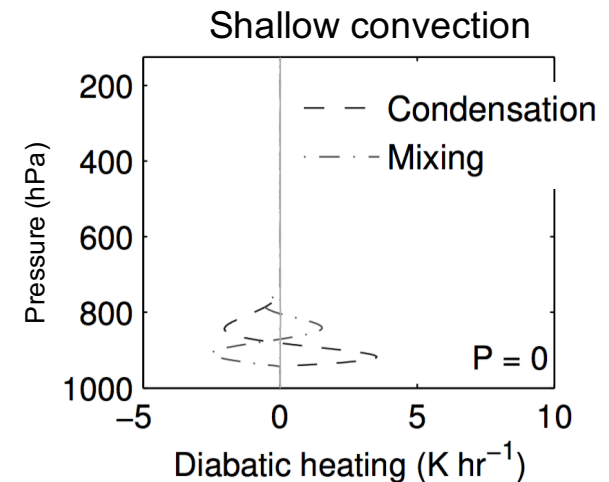
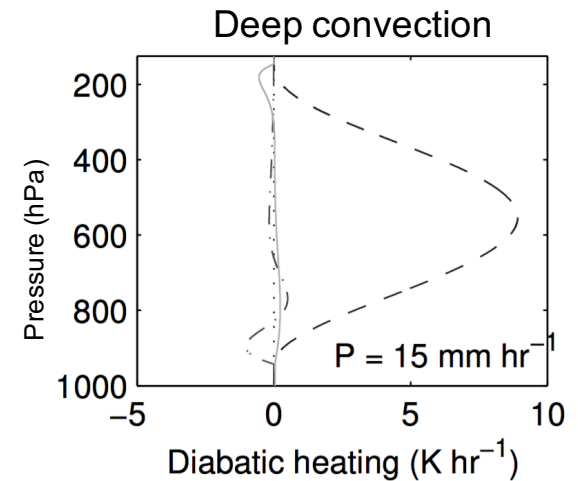


1. Represent effects of convection on resolved large-scale flow

1. Precipitation

2. Heating, moistening and momentum

- Vertical profile, how much, where and when
- Different convective clouds have different profiles



1. Represent effects of convection on resolved large-scale flow

- 1. Precipitation**
- 2. Heating, moistening and momentum**
- 3. Tracers**



1. Represent effects of convection on resolved large-scale flow

1. **Precipitation**
2. **Heating, moistening and momentum**
3. **Tracers**
4. **Cloud cover**



1. Represent effects of convection on resolved large-scale flow

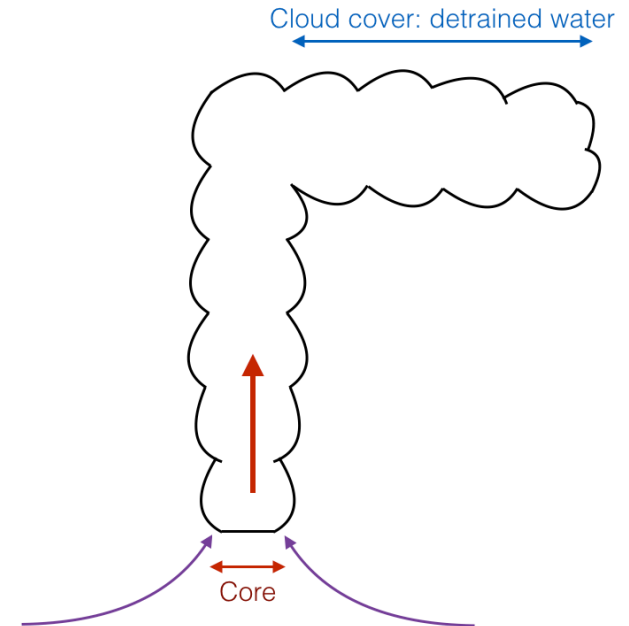
1. Precipitation

2. Heating, moistening and momentum

3. Tracers

4. Cloud cover

- NO !
- Convection scheme only predicts updraft core
- Passes relevant information to cloud cover scheme and radiation scheme



2. Type of convection schemes

1. Job of a convection scheme
2. **Type of convection schemes**
 - a. **Adjustment scheme**
 - b. **Mass flux scheme**
3. The 3 ingredients of a mass flux scheme
4. Representation of organization

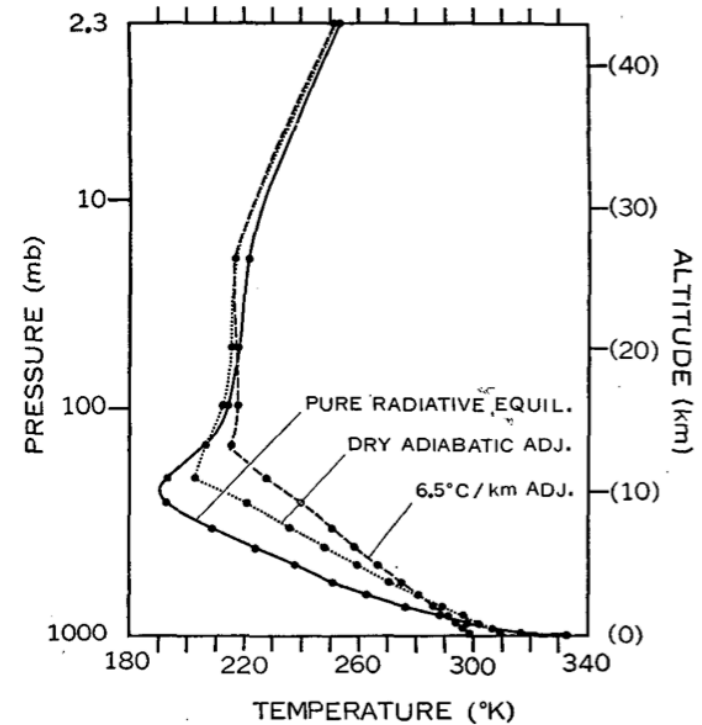


2a. Adjustment schemes

- Based on the idea of radiative convective equilibrium (Manabe and Stickler 1964)
- Relax temperature profile to a given moist adiabat (Manabe 1965, Betts and Miller 1986)

$$\frac{\partial \bar{\psi}}{\partial t} = \frac{\psi_{ref} - \bar{\psi}}{\tau} + \dots$$

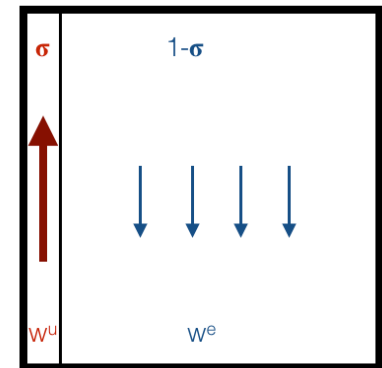
- Drawback: need to know reference state, atmosphere not in a RCE state
- Not used anymore



Manabe and Strickler (1974)

2b. Mass flux schemes

- Virtually all convection schemes
- Split a grid box in at least two parts:
 - the buoyant updraft where air goes up
 - The quiescent environment which is slowly subsiding



- The average of a variable ψ reads:

$$\overline{\psi} = \sigma^u \psi^u + (1 - \sigma^u) \psi^e$$

- Vertical eddy transport by convection:

$$\overline{w'\psi'} = \sigma^u \overline{w''\psi''}^u + (1 - \sigma^u) \overline{w''\psi''}^e + \sigma^u (1 - \sigma^u) (w^u - w^e) (\psi^u - \psi^e)$$

2b. Mass flux schemes

$$\overline{w'\psi'} = \sigma^u \overline{w''\psi''^u} + (1 - \sigma^u) \overline{w''\psi''^e} + \sigma^u (1 - \sigma^u) (w^u - w^e) (\psi^u - \psi^e)$$

- Assume:

$$\sigma^u \ll 1$$

$$w^u \gg w^e$$

$$\psi^e = \bar{\psi}$$

- Give:

$$\overline{w'\psi'} = \sigma^u w^u (\psi^u - \bar{\psi})$$

$$\overline{w'\psi'} = \frac{M^u}{\rho} (\psi^u - \bar{\psi}) \quad \text{with} \quad M^u = \rho \sigma^u w^u$$

2b. Mass flux schemes: some remarks

- If M^u and ψ^u are known, then vertical eddy transport by convection is known
- If eddy transport is known, effect of convection on resolved flow is also known
- **Mass flux approach is only valid for large ($O(100 \text{ km})$) grid boxes !**
- Simple and elegant: don't need to know area and vertical velocity
- Crux: maybe it is actually better to predict area and vertical velocity separately...

$$\overline{w'\psi'} = \frac{M^u}{\rho} (\psi^u - \bar{\psi})$$

$$\frac{\partial \bar{\psi}}{\partial t} = -\frac{\partial \overline{w'\psi'}}{\partial z} + \dots$$

$$M^u = \rho \sigma^u w^u$$

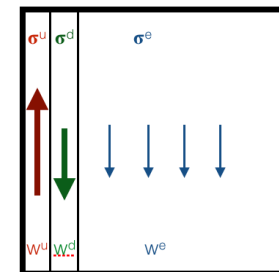
2b. Mass flux schemes: some more remarks

$$\overline{w'\psi'} = \frac{M^u}{\rho}(\psi^u - \bar{\psi})$$

- Two types of mass flux scheme:
 - bulk: replace all clouds by one pseudo bulk plume
 - spectral: use several plumes
- Generally the bulk approach is used
- But still distinguishes at least between shallow and deep convection
 - either the convection scheme decides between deep or shallow
 - or use two schemes, one for deep, one for shallow

- Generally a downdraft is also added

$$\overline{w'\psi'} = \frac{M^u}{\rho}(\psi^u - \bar{\psi}) + \frac{M^d}{\rho}(\psi^d - \bar{\psi})$$



3. The 3 ingredients of a mass flux scheme

1. Job of a convection scheme
2. Type of convection schemes
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3. The 3 ingredients of a mass flux scheme

4. Representation of organization



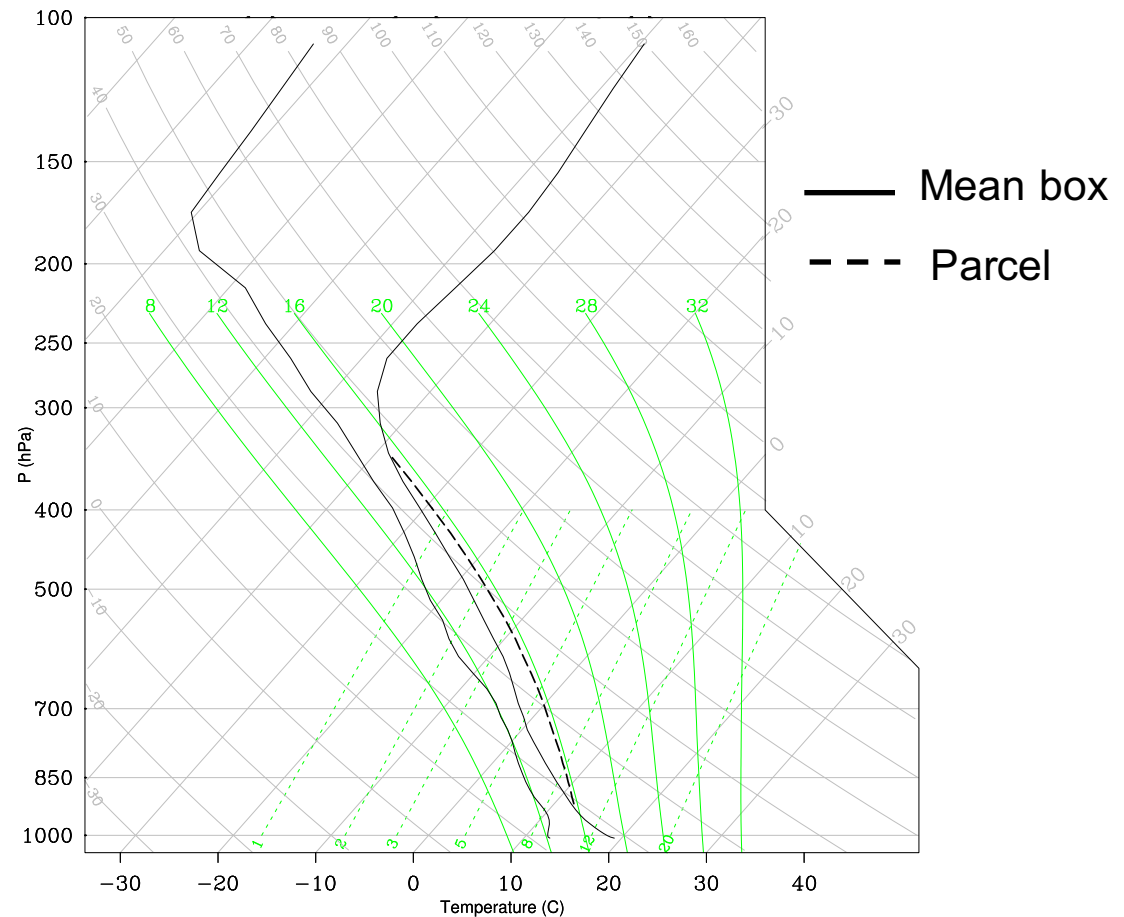
3. The 3 ingredients of a mass flux scheme

1. The trigger:
Is convection happening ?
2. The closure:
How much convection is happening ?
3. The cloud model:
Predict vertical profile



3a. The trigger

- Parcel ascent: if atmospheric profile is unstable, convection is triggered
- Add some perturbation to derive parcel properties
- Can distinguish between shallow and deep convection based on cloud top height
- Some closures don't require a separate trigger



3. The 3 ingredients of a mass flux scheme

1. The trigger:
Is convection happening ?
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Predict vertical profile



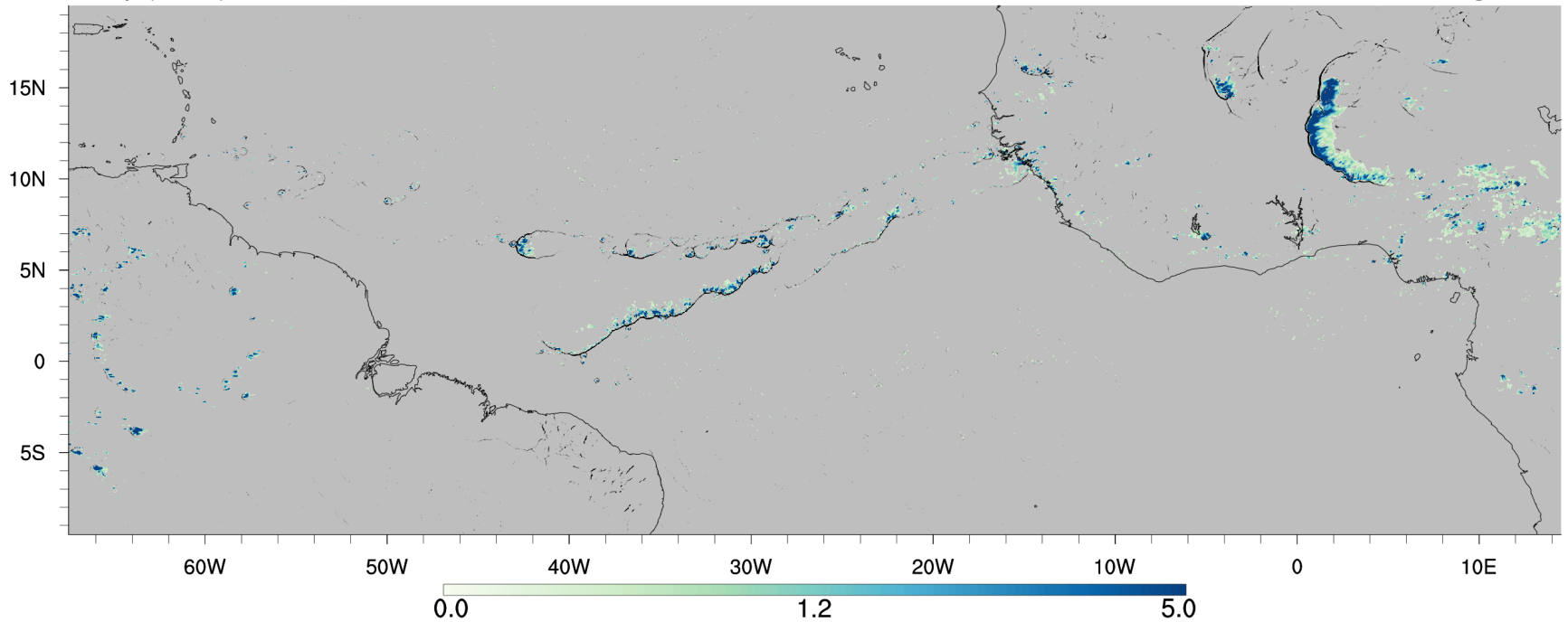
3b. The closure: moisture convergence

- For long the traditional approach to close deep convection (e.g. Kuo 1974, Tiedtke 1989)

$$M_b^u \sim - \int_{z_b}^{z_t} \frac{\partial}{\partial x_i} (\rho q u_i) dz + F_E$$

- Over the tropics, precipitation almost equals moisture convergence
- Convection acts to consume the large-scale supply of moisture.
- Critic:
 - does not include “true” cause for convection (instability)
 - convergence is a consequence not a cause for convection
 - strong positive feedback

3b. The closure: moisture convergence



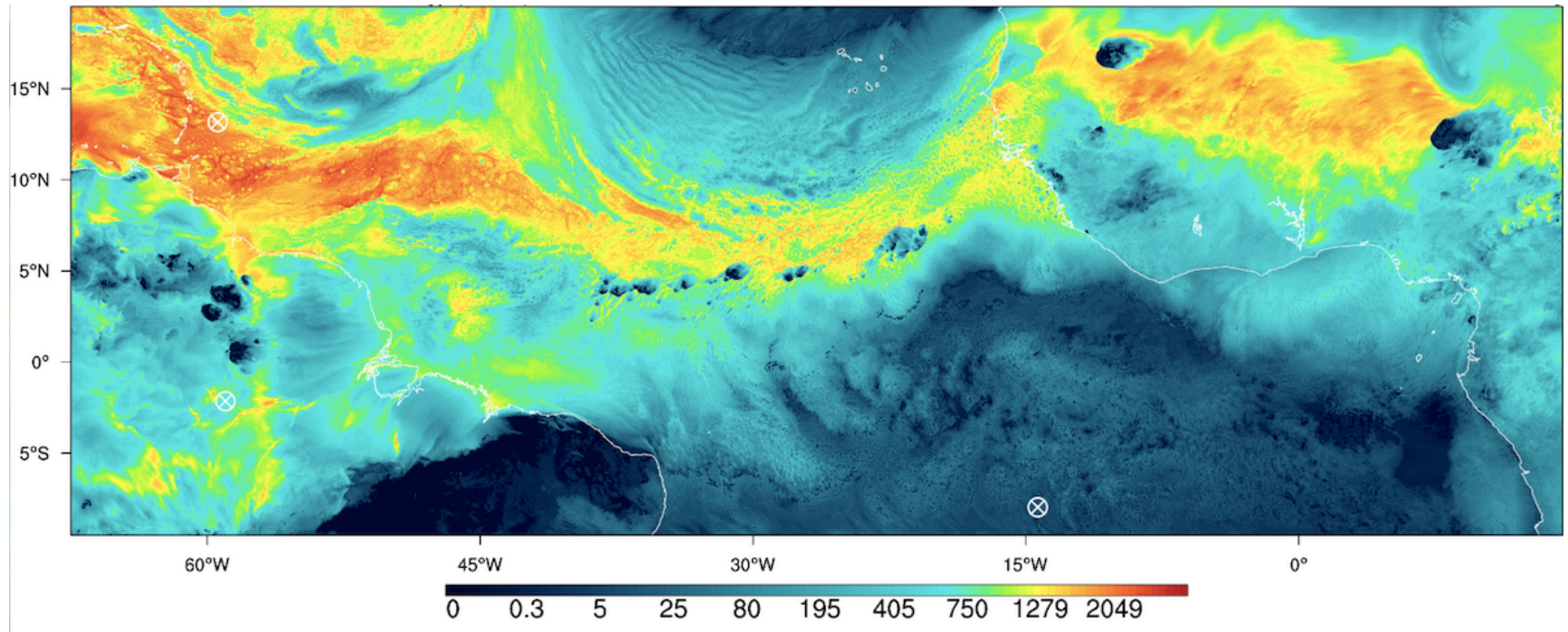
3b. The closure: CAPE

- Now the usual approach to close deep convection (e.g. Emanuel and Raymond 1993)

$$M_b^u \sim \frac{CAPE}{\tau}$$

- Convection acts to consume the large-scale supply of CAPE
- Assume convective quasi-equilibrium: convection responds quickly to change in the large-scale forcing, on a time scale much shorter than the temporal variations in the large-scale forcing itself
- Critic:
 - does not take into account convection resulting from forced ascent
 - Convective quasi-equilibrium not valid (e.g. diurnal cycle)

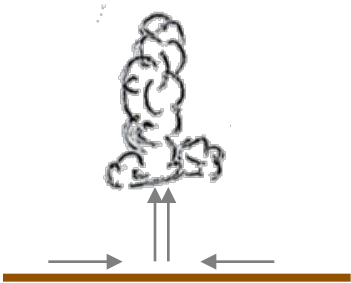
3b. The closure: CAPE



3b. The closure: Moisture convergence versus CAPE

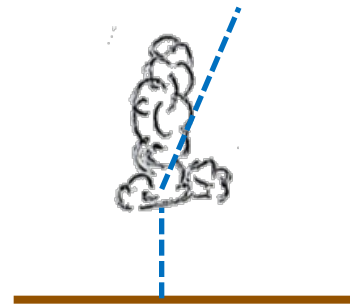
Dynamical view

- Convection happens where circulations converge



Thermodynamical view

- Convection happens in moist and/or unstable columns

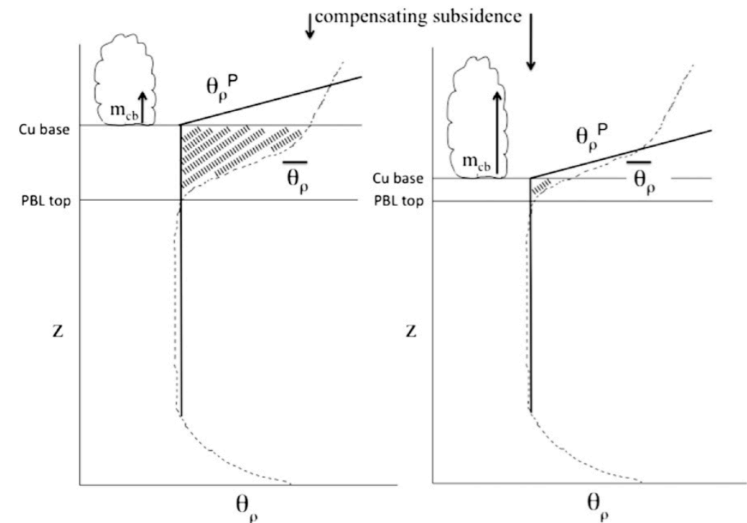


3b. The closure: boundary layer - based

- Use to close shallow convection and more recently deep convection (e.g. Park and Bretherton 2009, Rio and Hourdon 2008, Fletcher and Bretherton 2010)

$$M_b^u \sim W \exp\left(-\frac{CIN}{W^2}\right)$$

- Maintain the base of the cumulus cloud at the top of the PBL
- No trigger needed
- Critic:
 - CIN is a small and noisy field



Fletcher and Bretherton (2010)

3. The 3 ingredients of a mass flux scheme

1. The trigger:
Is convection happening ?
2. The closure:
How much convection is happening ?
3. The cloud model:
Predict vertical profile



3c. The cloud model

$$\frac{\partial \bar{\psi}}{\partial t} = -\frac{\partial \overline{w'\psi'}}{\partial z} + \dots$$

$$\overline{w'\psi'} = \frac{M^u}{\rho} (\psi^u - \bar{\psi})$$

- Need to know:

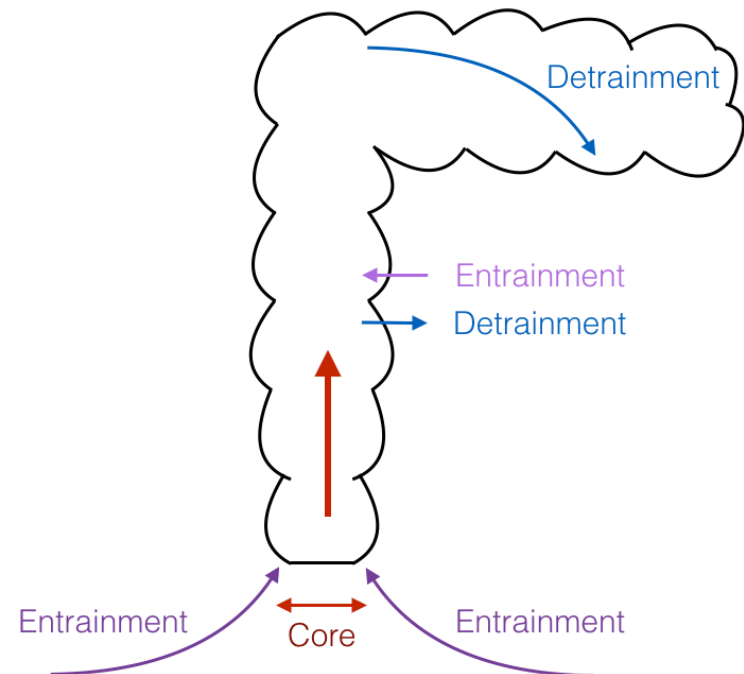
$$\frac{\partial M^u}{\partial z} = ??$$

$$\frac{\partial \psi^u}{\partial z} = ??$$

- Use the model of a bulk entraining-detraining plume

$$\frac{\partial M^u}{\partial z} = E - D$$

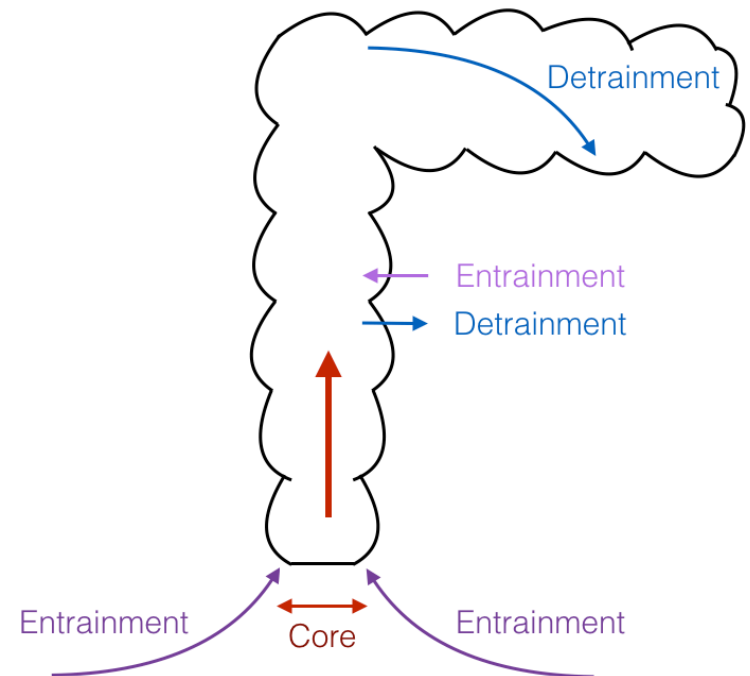
$$\frac{\partial M^u \psi^u}{\partial z} = E \bar{\psi} - D \psi^u + S$$



3c. The cloud model

$$\frac{\partial M^u}{\partial z} = E - D$$
$$\frac{\partial M^u \psi^u}{\partial z} = E \bar{\psi} - D \psi^u + S$$

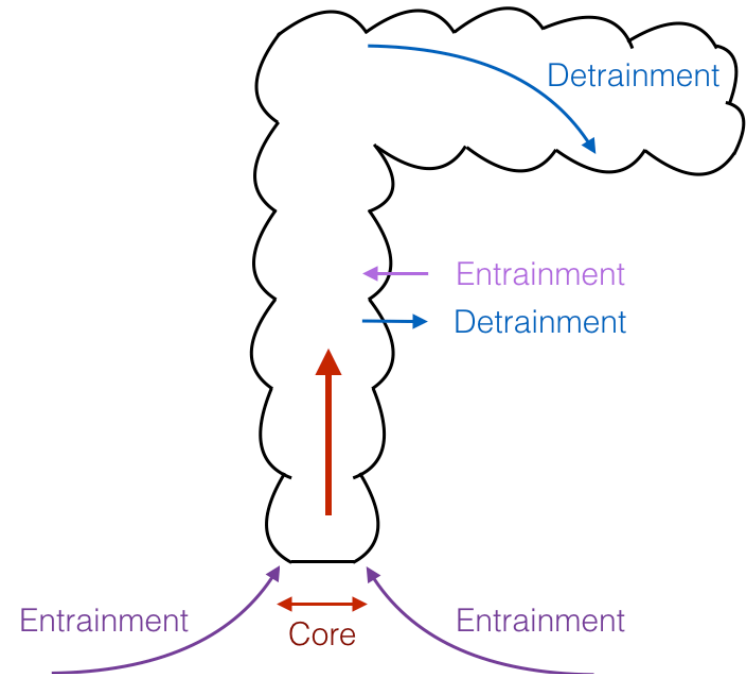
- Entrainment of environmental air increases the mass flux, as air mass is brought into the updraft
- Entrainment of environmental air cools and dries the updraft because the updraft is warmer and moister than its environment
- Ensuing changes in updraft properties leads to evaporation of cloud water
- The associated evaporative cooling reduces the buoyancy of the updraft and acts negatively on convection



3c. The cloud model

$$\frac{\partial M^u}{\partial z} = E - D$$
$$\frac{\partial M^u \psi^u}{\partial z} = E \bar{\psi} - D \psi^u + S$$

- Detrainment of updraft air decreases the mass flux, as air is lost to the environment
- Detrainment of updraft air moistens and warms the environment because the updraft is warmer and moister than its environment
- This acts positively on the future development of convection



3c. The cloud model

$$\frac{\partial M^u}{\partial z} = E - D$$
$$\frac{\partial M^u \psi^u}{\partial z} = E \bar{\psi} - D \psi^u + S$$

- Define

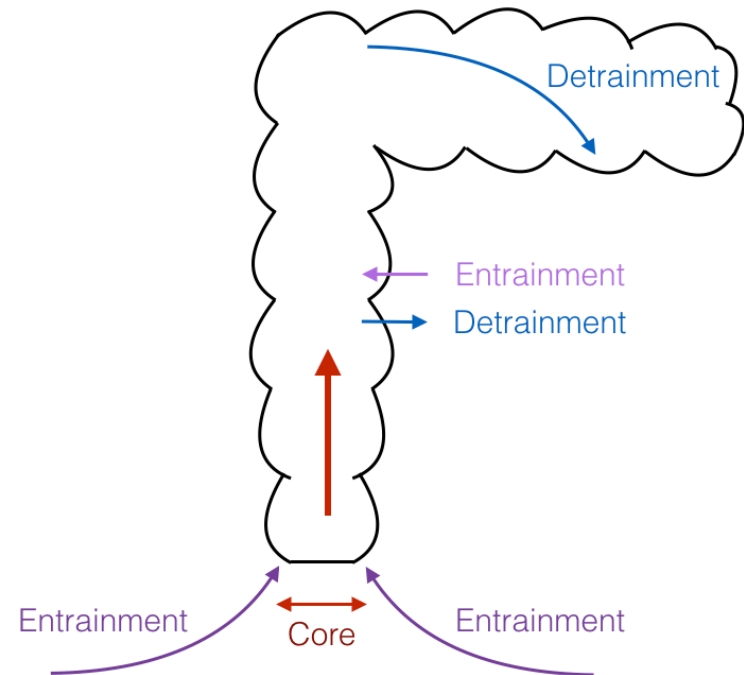
$$E \equiv \epsilon M^u$$

$$D \equiv \delta M^u$$

- Replace

$$\frac{\partial M^u}{\partial z} = M^u (\epsilon - \delta)$$

$$\frac{\partial \psi^u}{\partial z} = -\epsilon (\psi^u - \bar{\psi}) + S$$



It's magic !!!!

$$\frac{\partial \overline{\psi}}{\partial t} = -\frac{\partial \overline{w'\psi'}}{\partial z} + \dots$$

$$\overline{w'\psi'} = \frac{M^u}{\rho} (\psi^u - \overline{\psi})$$

$$\frac{\partial M^u}{\partial z} = M^u (\epsilon - \delta)$$

$$\frac{\partial \psi^u}{\partial z} = -\epsilon (\psi^u - \overline{\psi}) + S$$

**We only need to know entrainment and detrainment rates
and we know effects of convection on resolved flow !!!!**

Mmmhh.....

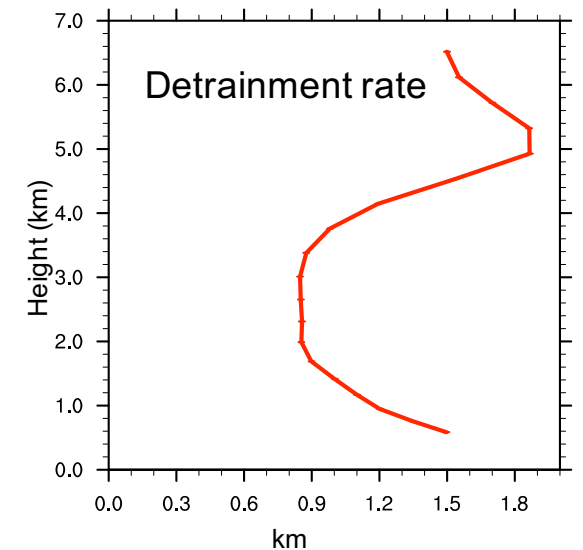
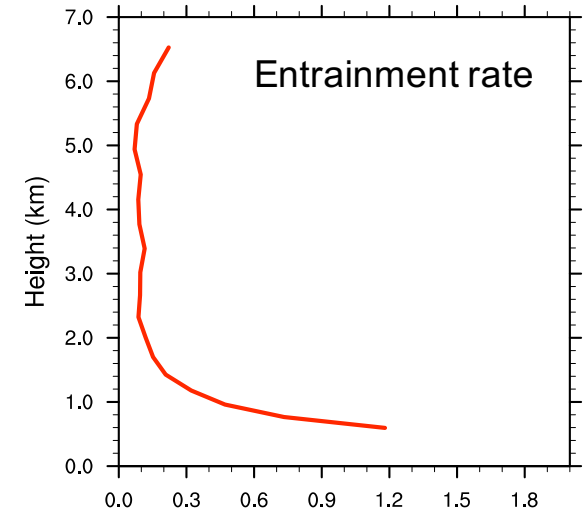
We don't know entrainment and detrainment rates

3c. The cloud model: entrainment and detrainment

- Tuning knob of a convection scheme
 - Make shallow or deep convection
 - Make a single or a double ITCZ
 - Make or not a MJO
 - Shift precipitation patterns
 - Make it rain more or less

3c. The cloud model: entrainment and detrainment

- Tuning knob of a convection scheme
 - Make shallow or deep convection
 - Make a single or a double ITCZ
 - Make or not a MJO
 - Shift precipitation patterns
 - Make it rain more or less
- Various approaches but some few properties
 - Should vary vertically
 - Shallow convection has larger entrainment rates than deep convection
 - Entrainment rate depends on relative humidity



3c. The cloud model: microphysics

$$\frac{\partial M^u}{\partial z} = M^u(\epsilon - \delta)$$

$$\frac{\partial \psi^u}{\partial z} = -\epsilon(\psi^u - \bar{\psi}) + S$$

- Simple saturation-adjustment process
- Distinguish only liquid and ice based on temperature
- Simple autoconversion: convert a fraction of cloud water to rain and/or snow
- Snow can melt to rain
- Snow can sublime
- Rain can evaporate, generally only below cloud base
- Snow and rain fall in the same grid box, no advection

4. Representation of organization

1. Job of a convection scheme
2. Type of convection schemes
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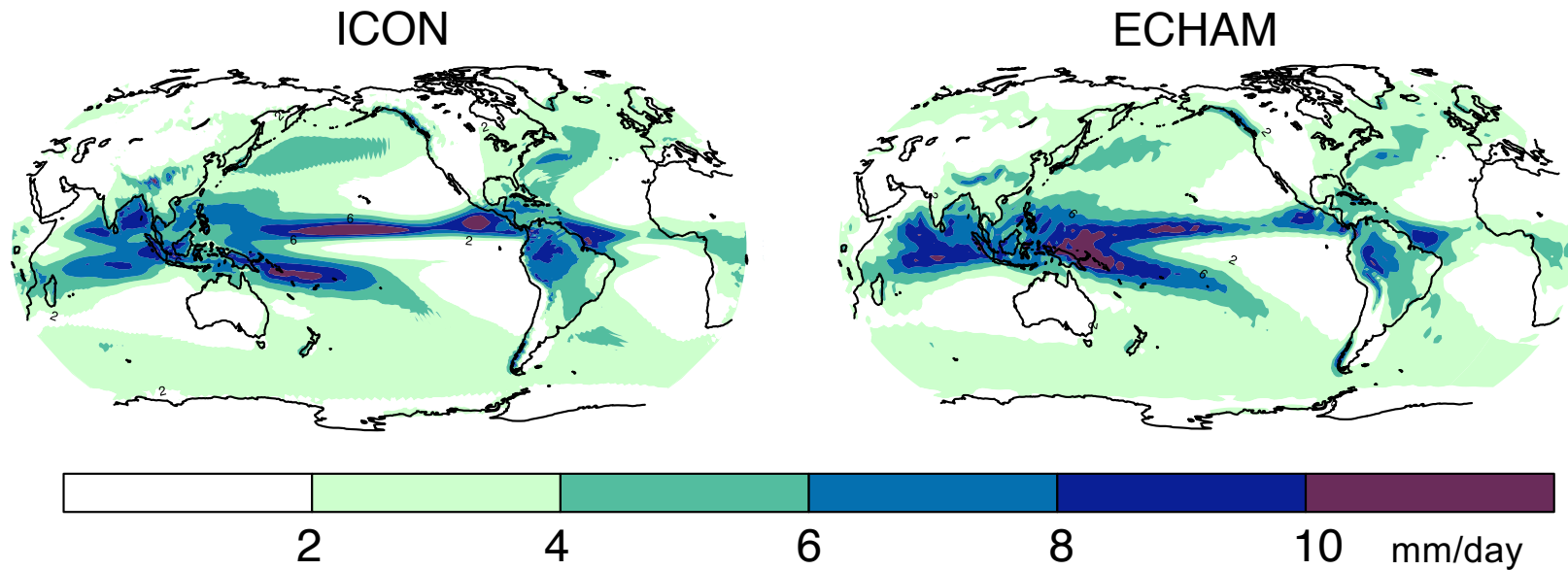


4. Convective organization on larger scales

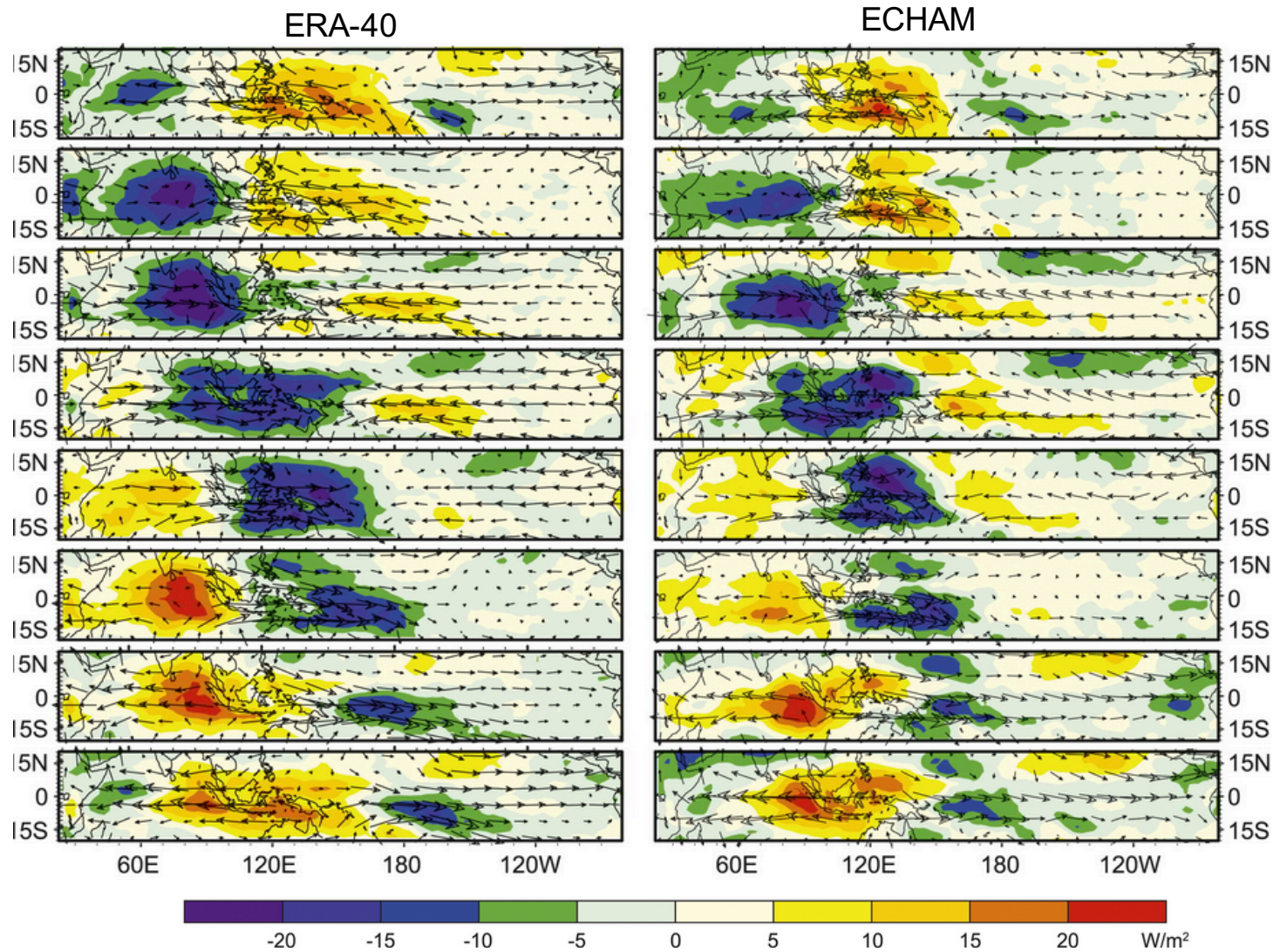
- On scales larger than the grid box, convective organization should happen spontaneously
- Does convection organize on larger scales?



4. Convection can indeed organize on larger scales: ITCZ



4. Convection can indeed organize on larger scales: MJO



Crueger et al. (2018)

4. Convective organization on scales smaller than the grid spacing

- Convective parameterizations generally do not include a representation of organization

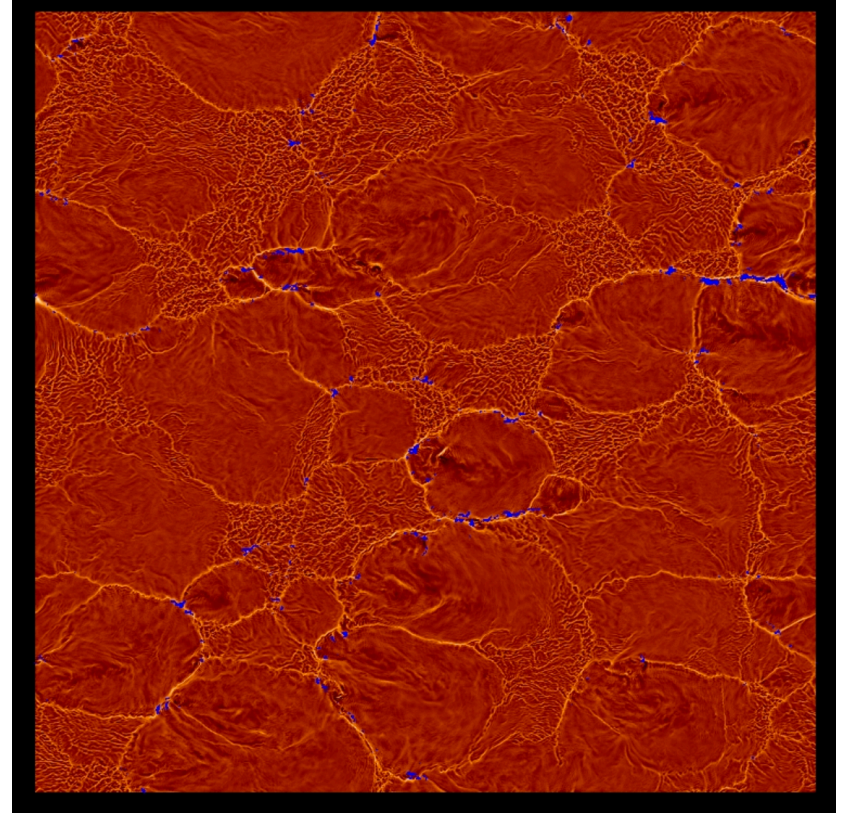


4. Representation of mesoscale organization: cold pools

1. Cold pools

- Melting of hydrometeors and evaporation of precipitation generate cold pools
- When cold pools collide, air forces to rise, preferential triggering location
- Modify trigger function

$$M_b^u \sim W \exp\left(-\frac{CIN}{W^2}\right)$$



Linda Schlemmer

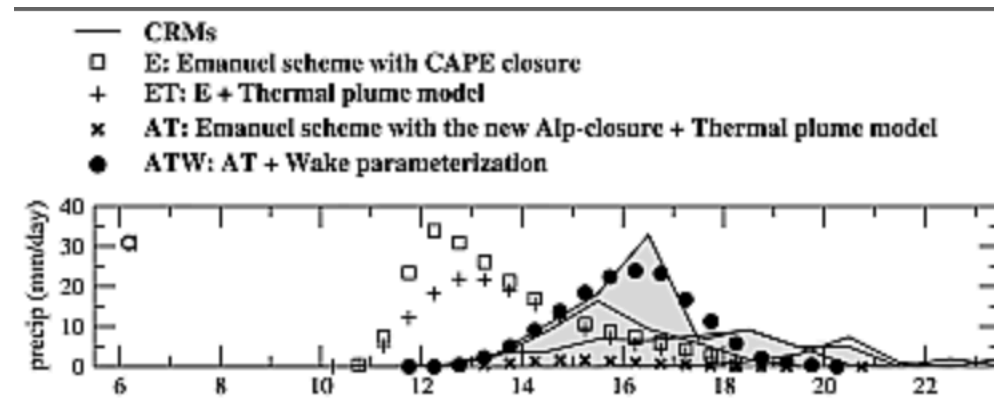
4. Representation of mesoscale organization: cold pools

1. Cold pools

- Melting of hydrometeors and evaporation of precipitation generate cold pools
- When cold pools collide, air forces to rise, preferential triggering location
- Modify trigger function

$$M_b^u \sim W \exp\left(-\frac{CIN}{W^2}\right)$$

- Diurnal cycle



Rio et al. (2009)

4. Representation of mesoscale organization: cluster size

1. Cold pools

2. Cluster size

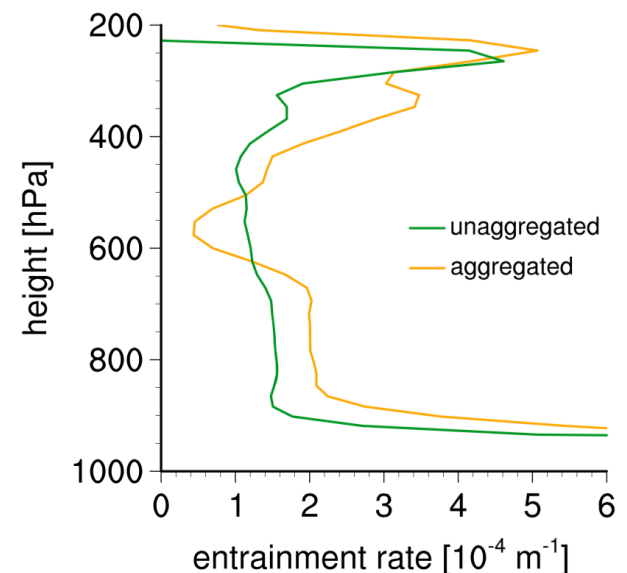
- Organized convective clusters are larger than isolated convective cells
- Entrainment rate is inversely proportional to updraft's size
- Modify entrainment rate (Mapes and Neale 2011, Hohenegger and Bretherton 2013)

4. Representation of mesoscale organization: cluster size

1. Cold pools

2. Cluster size

- Organized convective clusters are larger than isolated convective cells
- Entrainment rate is inversely proportional to updraft's size
- Modify entrainment rate (Mapes and Neale 2011, Hohenegger and Bretherton 2013)
- Doesn't seem to be backed up by convection-permitting simulations



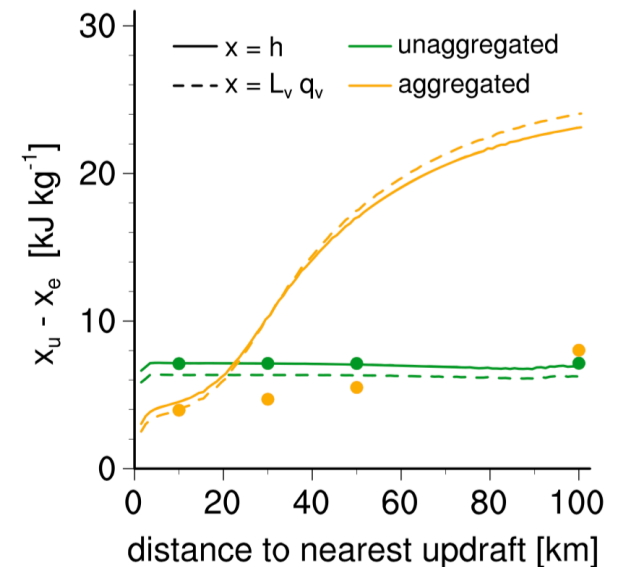
Becker et al. (2018)

4. Representation of mesoscale organization: cluster size

1. Cold pools

2. Cluster size

- Organized convective clusters are larger than isolated convective cells
- Entrainment rate is inversely proportional to updraft's size
- Modify entrainment rate (Mapes and Neale 2011, Hohenegger and Bretherton 2013)
- Doesn't seem to be backed up by convection-permitting simulations
- Rather include a moist shell

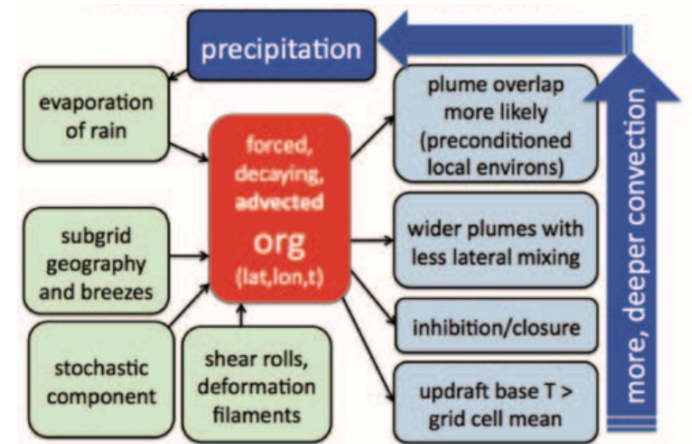


Becker et al. (2018)

4. Representation of mesoscale organization: org parameter

1. Cold pools
2. Cluster size
3. Org parameter (Mapes and Neale 2011)

$$\frac{d(org)}{dt} = S - (org)/\tau$$



Mapes and Neale (2011)

4. Representation of mesoscale organization: mesoscale heating

1. Cold pools
2. Cluster size
3. Org parameter
4. Mesoscale heating (Moncrieff and Liu 2006)
 - Organized convection has a different heating profile than isolated convection due to stratiform precipitation
 - Add mesoscale heating on tendency
 - Mesoscale heating proportional to convective heating

But should we include the effect of mesoscale organization?????

Conclusions

1. Job of a convection scheme

- Represent the statistical effect of convection without representing individual clouds

2. Type of convection schemes

- Mass flux approach

3. The 3 ingredients of a mass flux scheme

- Trigger (yes/no), Closure (how much), Cloud model (vertical profile)
- Entrainment and detrainment rates

4. Representation of organization

- Not on the mesoscale, some aspects of large-scale organization captured

