

Modern technologies for quantum photonics II

Quantum photonics in multi-dimensional systems

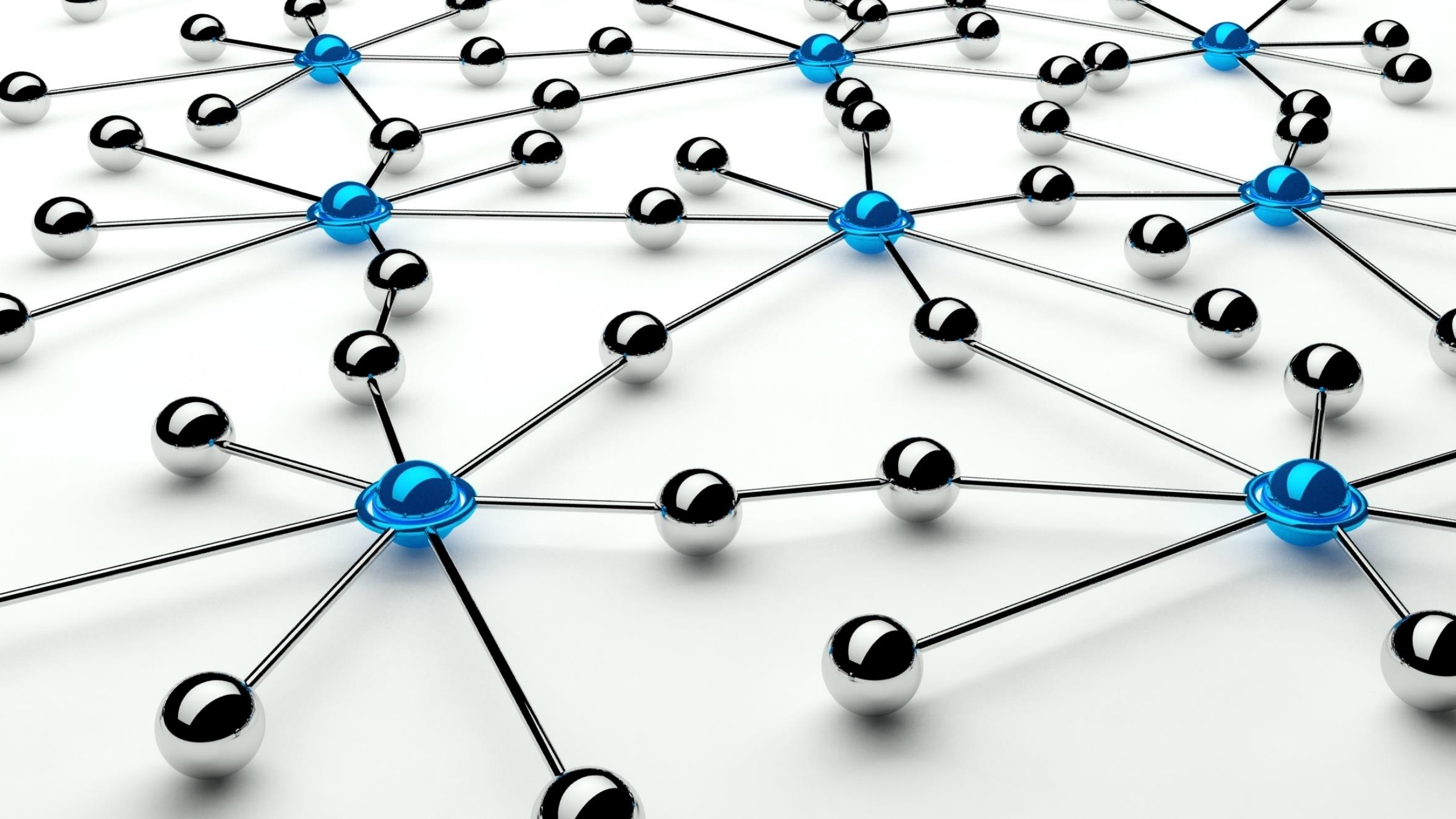
© Paderborn University: Besim Mazhigi

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Integrated Quantum Optics
Paderborn University

ICTP Winter College on Optics:
Quantum Photonics and Information

13/02/2020





SCALABILITY

COST

SIMPLICITY

RESOURCES

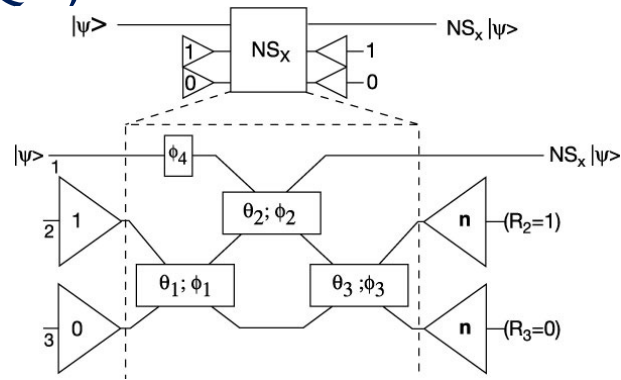
COMPATIBILITY

ALPHABET

RECONFIGURABILITY

Goal: to build multi-dimensional systems

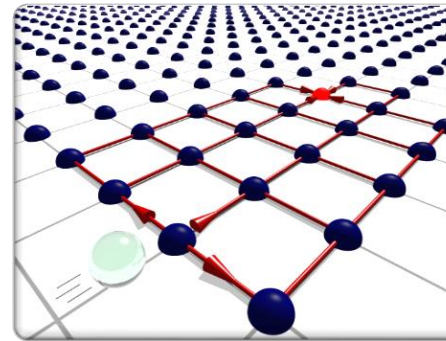
► Optical quantum computation (LOQC)



Knill, Laflamme, Milburn, Nature (2001)

2D encoding,
many paths,
many photons

► Quantum walks and quantum simulation

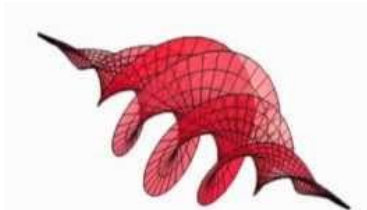


Schreiber et al., Science (2012)

few-D coin,
many positions,
few photons

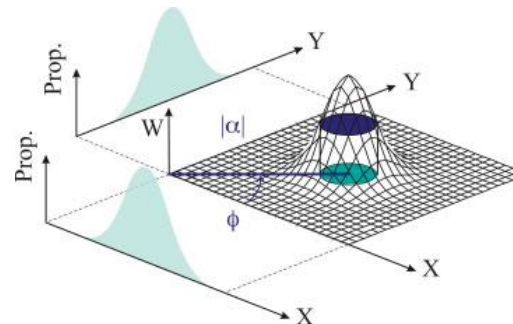
► High-dimensional information coding for quantum communication

Orbital angular momentum states

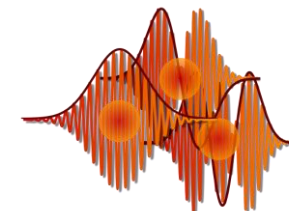


Padgett, Barnett, Boyd et al., Science (2010)

Continuous variable / Photon number states



Temporal modes of pulsed quantum states



Brecht et al., Phys. Rev. X 5, 041017 (2015)

HD alphabet,
one channel,
few photons

Outline

Optical
modes

Parametric
down-conversion

Quantum
pulse gate

Applications



Optical modes

Definition:

Modes are eigenfunctions of the wave equations, including boundary conditions, e.g. resonators or waveguides.

Properties:

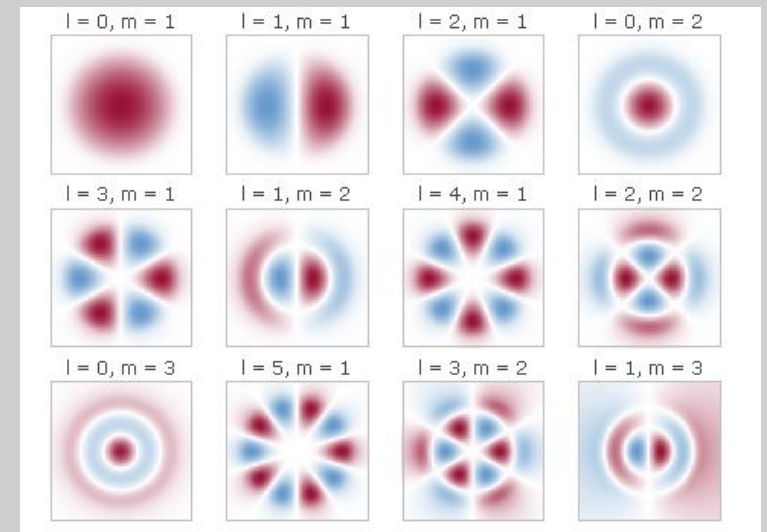
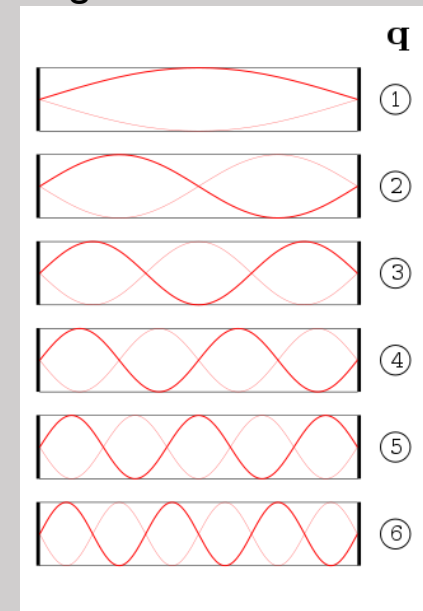
- ▶ they are orthogonal; dissimilar modes do not interfere
- ▶ within the same mode light is coherent and does interfere

Temporal modes: in direction of propagation (time, frequency)

Spatial modes: transverses to direction of propagation (x , and \vec{k})

Example: cavity modes

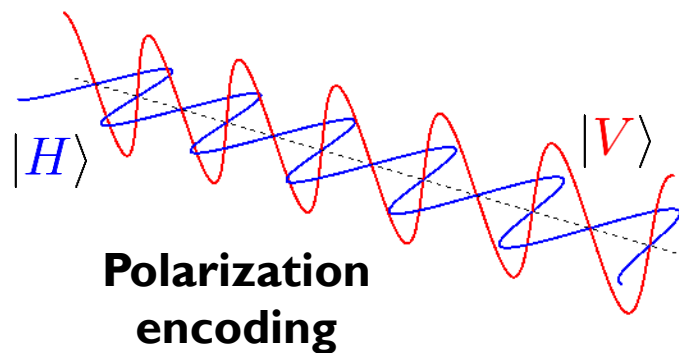
longitudinal modes



transverse modes

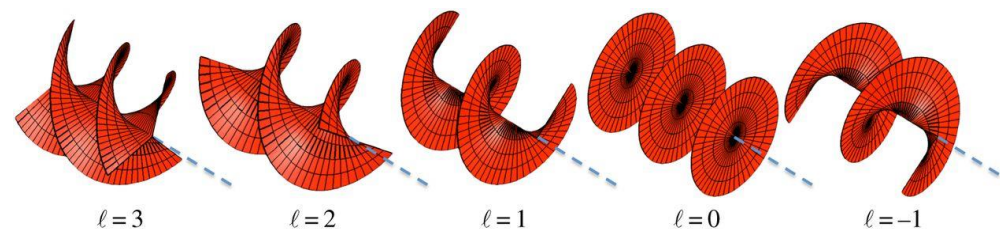
High-dimensional information encoding

$|0\rangle$ or $|1\rangle$ or $|2\rangle$ or $|3\rangle$ or $|4\rangle$ or $|5\rangle$ or $|6\rangle$ or $|7\rangle$ or $|8\rangle$



**Polarization
encoding**

Spatial encoding

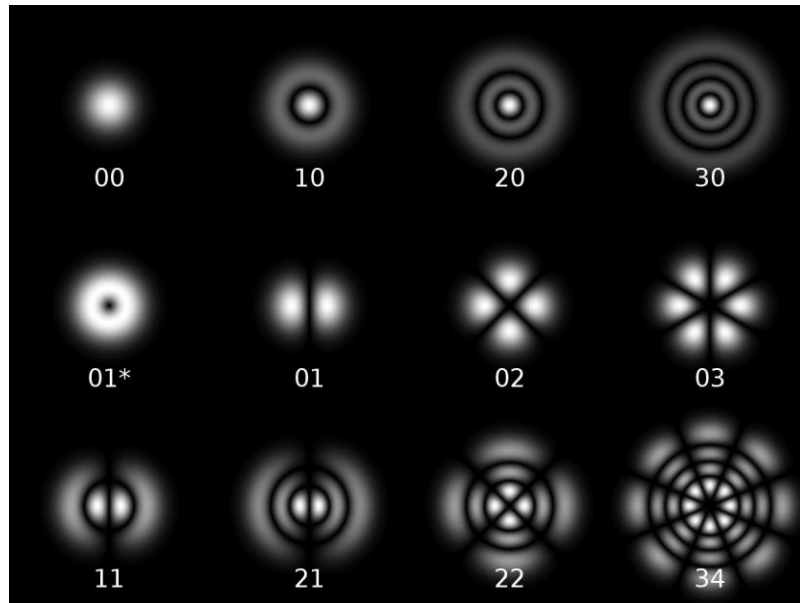


Leach et al., Science 329, 662-665 (2010)
Bent, et al, Phys. Rev. X 5, 041006 (2015)
Naidoo, et al, Nat. Photon. 10, 327 (2016)

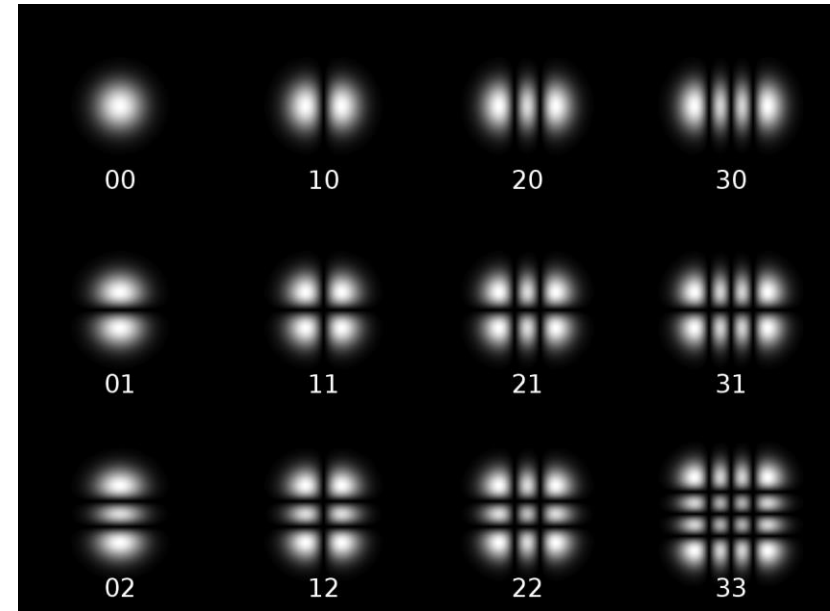
- ▶ More information encoded per photon
- ▶ Enhanced resilience to loss and noise
- ▶ High dimensional entanglement

Transverse spatial modes

▶ Laguerre-Gauss modes



▶ Hermite-Gaussian modes



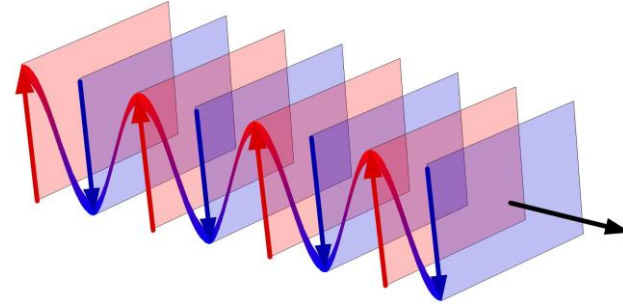
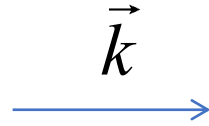
Spatial modes are orthogonal

$$\int_{-\infty}^{\infty} u_n^*(x, z) \tilde{u}_m(x, z) dx = \delta_{nm}$$

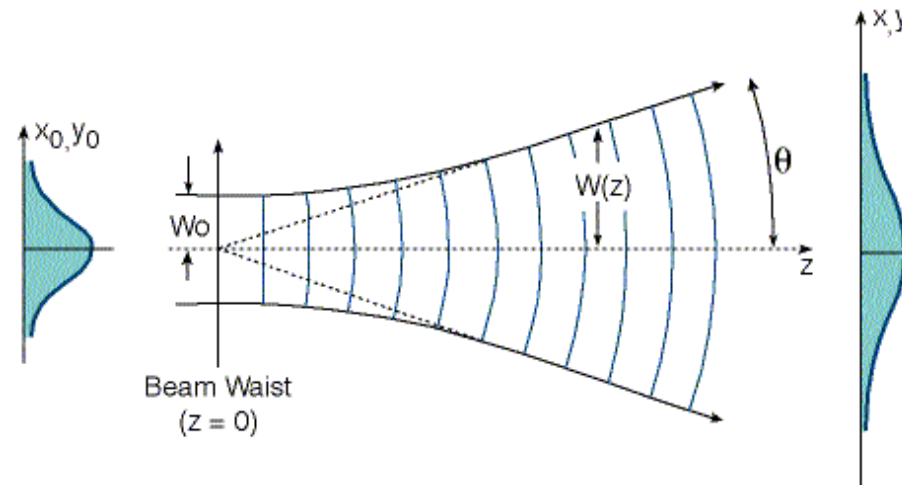
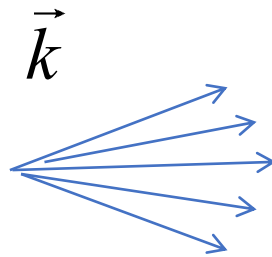
$$\tilde{E}(x, y, z) = \sum_n \sum_m c_{nm} \tilde{u}_n(x, z) \tilde{u}_m(y, z) e^{-jkz}$$

Gaussian beam

- ▶ Plane wave: single k-vector



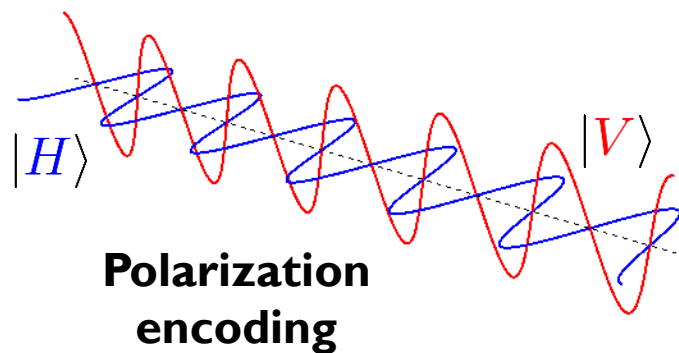
- ▶ Gaussian beam: superpositions of wave vectors



$$E_0 \propto \int_{-\infty}^{\infty} \frac{dk_x}{2\pi} \int_{-\infty}^{\infty} \frac{dk_y}{2\pi} \exp\left(ik_x x + ik_y y + ikz - i \frac{k_x^2 + k_y^2}{2k} z - \frac{w_0^2}{4} (k_x^2 + k_y^2) \right).$$

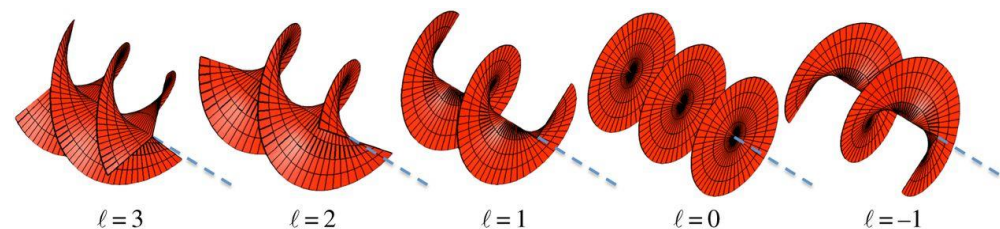
High-dimensional information encoding

$|0\rangle$ or $|1\rangle$ or $|2\rangle$ or $|3\rangle$ or $|4\rangle$ or $|5\rangle$ or $|6\rangle$ or $|7\rangle$ or $|8\rangle$



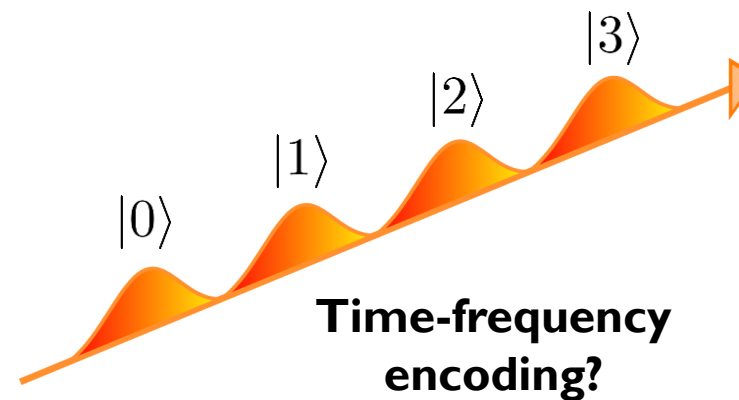
**Polarization
encoding**

Spatial encoding



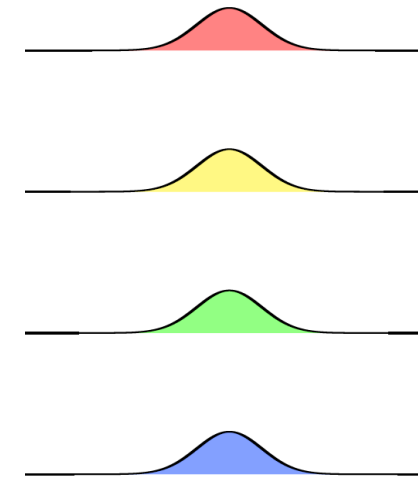
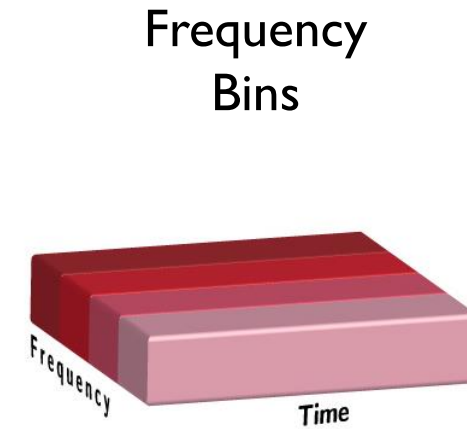
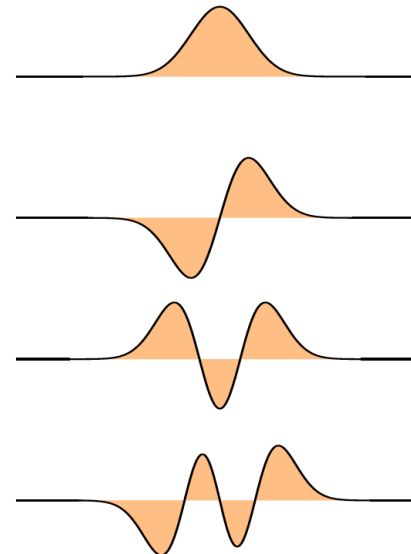
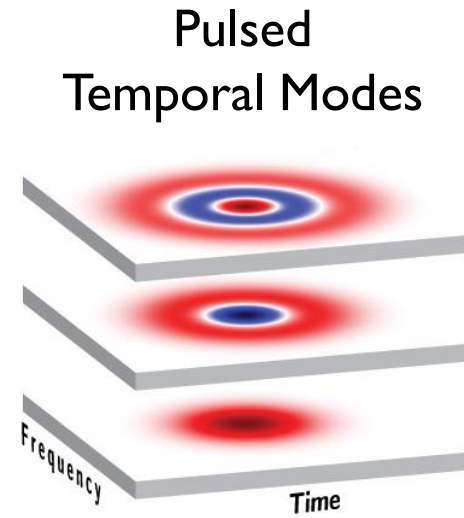
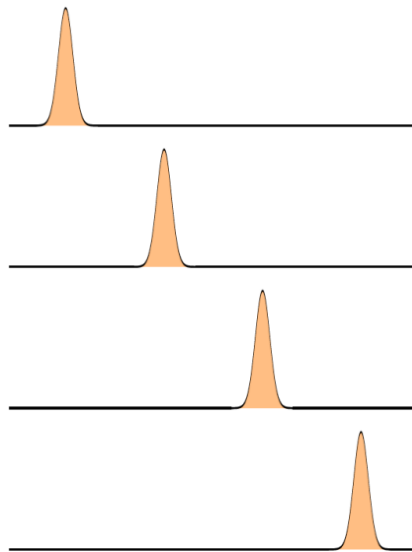
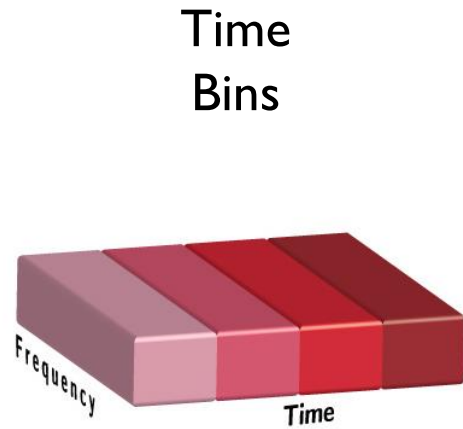
Leach et al., Science 329, 662-665 (2010)
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Naidoo, et al, Nat. Photon. 10, 327 (2016)

- ▶ More information encoded per photon
- ▶ Enhanced resilience to loss and noise
- ▶ High dimensional entanglement



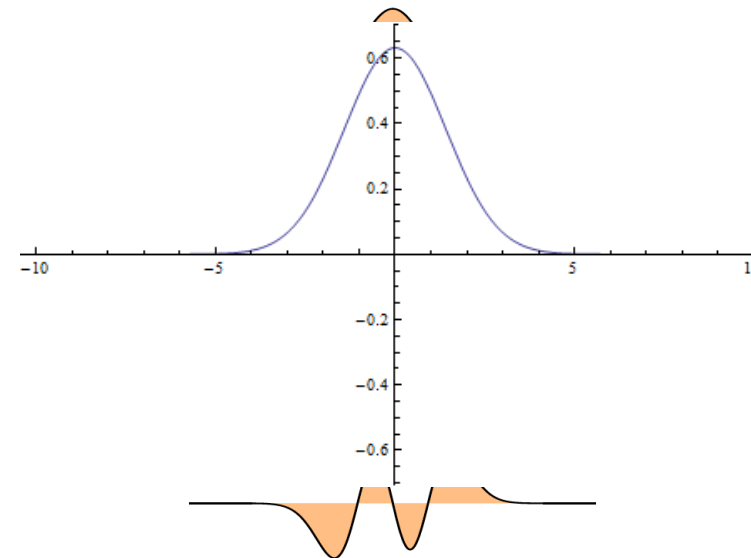
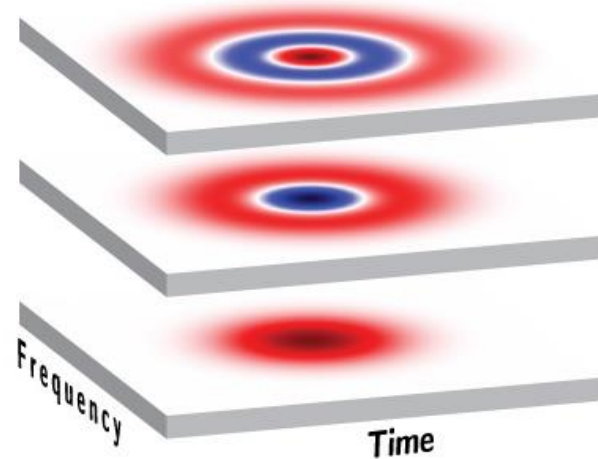
**Time-frequency
encoding?**

Time-frequency modes

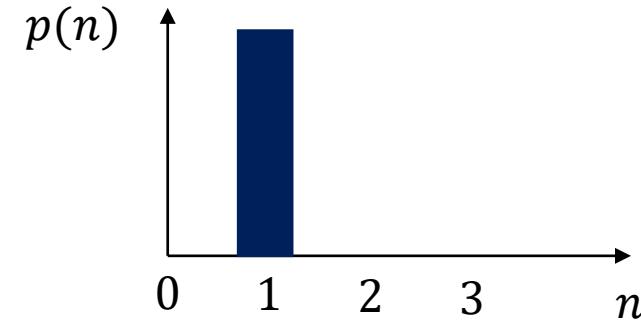
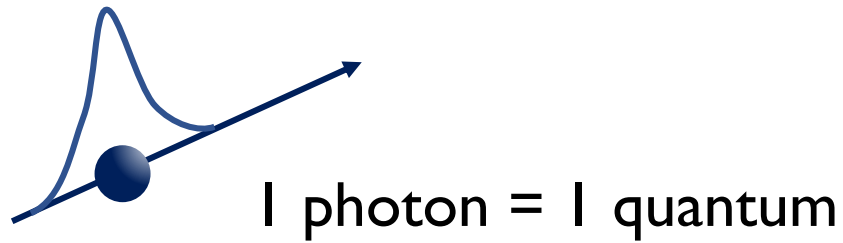


Pulsed temporal modes

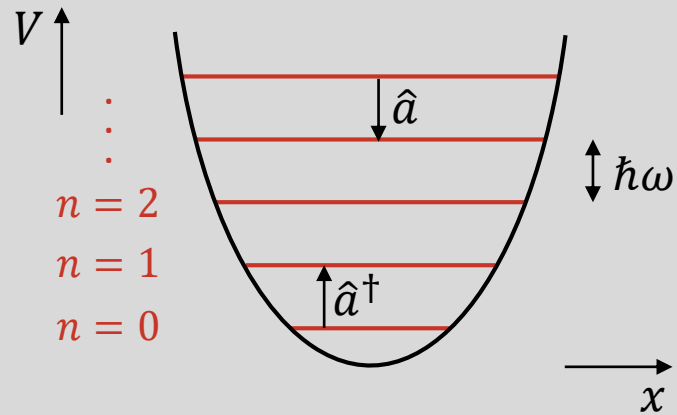
- ▶ Hermite-Gaussian envelopes in frequency and time
- ▶ Overlapping intensities but orthogonal field amplitudes
- ▶ Naturally compatible with waveguides and fibers
- ▶ Pulse and spectral width scale as $\sqrt{2n + 1}$



What is a single photon?



Quantisation of an optical field mode



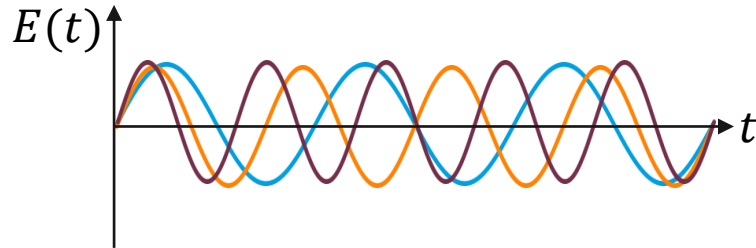
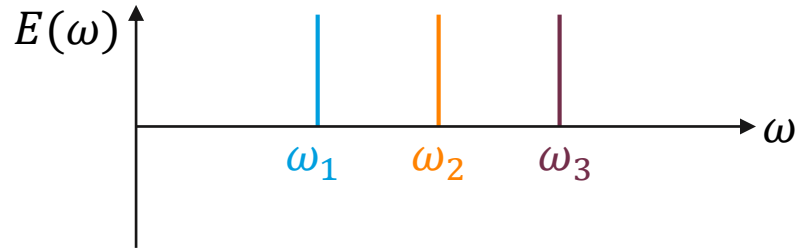
plane wave = harmonic oscillator

$$\hat{E} = \hat{a}e^{-i(\omega t - \vec{k}\vec{r})} + \hat{a}^\dagger e^{i(\omega t - \vec{k}\vec{r})}$$

$$|\psi\rangle = \sum_{n=0}^{\infty} c_n \frac{(\hat{a}^\dagger)^n}{\sqrt{n!}} |0\rangle$$

Pulsed temporal mode states of single photons

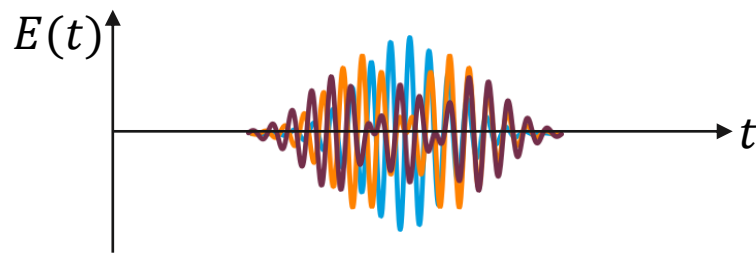
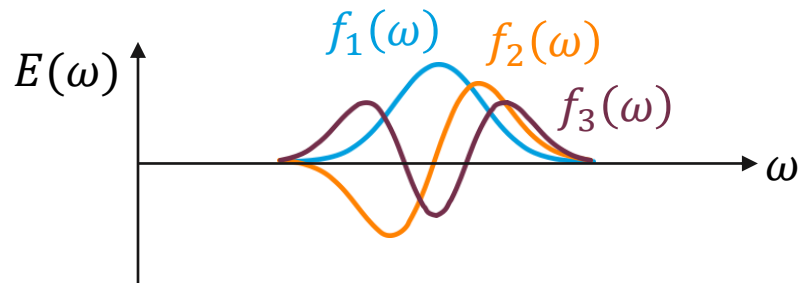
Monochromatic modes



$$[\hat{a}(\omega_i), \hat{a}^\dagger(\omega_j)] = \delta(\omega_i - \omega_j)$$

$$\text{State: } |\omega_j\rangle = \hat{a}^\dagger(\omega_j)|0\rangle$$

Temporal modes



$$\hat{A}_j = \int d\omega f_j(\omega) \hat{a}(\omega)$$

$$[\hat{A}_i, \hat{A}_j^\dagger] = \delta_{ij}$$

$$\text{State: } |A_j\rangle = \hat{A}_j^\dagger |0\rangle$$

Outline

Optical
modes

Parametric
down-conversion

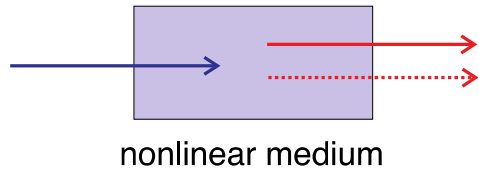
Quantum
pulse gate

Applications



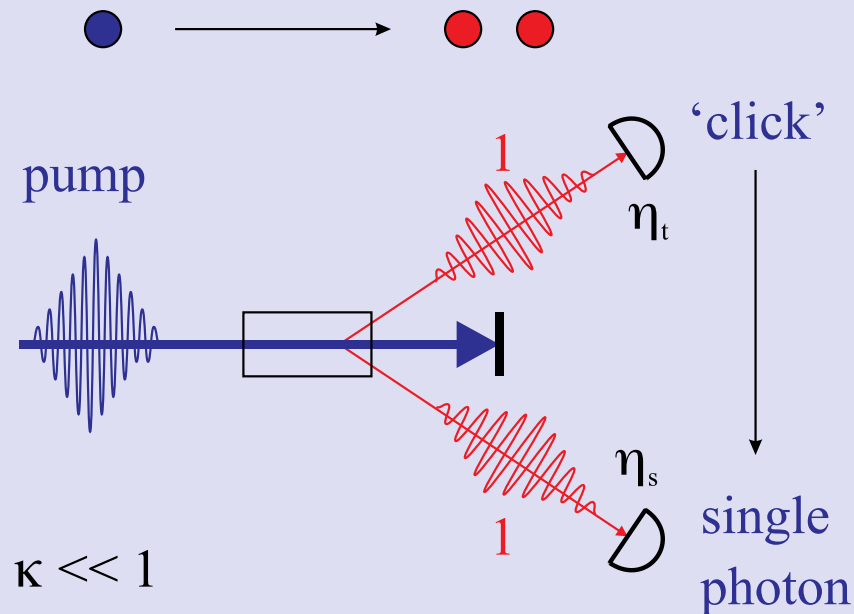
Parametric down-conversion

How can we generate single photons?



$$P = \epsilon_0 \left[\chi^{(1)} \vec{E} + \chi^{(2)} \vec{E} \vec{E} + \chi^{(3)} \vec{E} \vec{E} \vec{E} + \dots \right]$$

Parametric downconversion

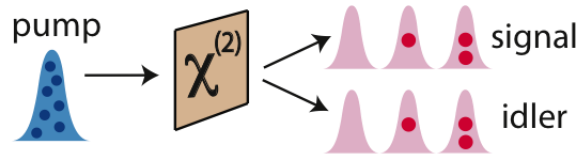


Photons are produced in pairs

$$R_s = \eta_s \cdot R, \quad R_i = \eta_i \cdot R$$
$$R_{coinc} = \eta_s \eta_i \cdot R$$

$$\eta_s = \frac{R_{coinc}}{R_i}$$

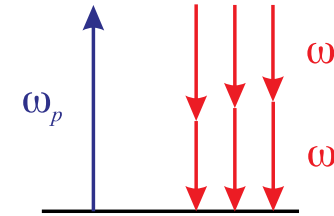
Parametric down-conversion



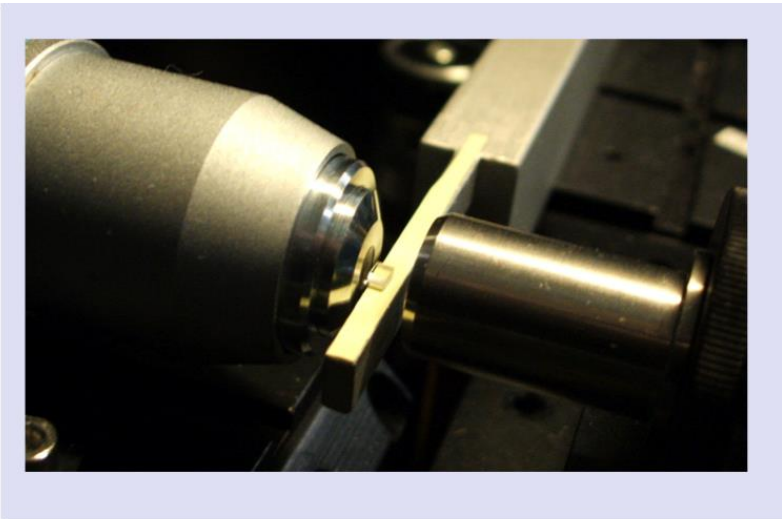
$$\hat{H} = \alpha a^\dagger b^\dagger + h.c.$$
$$|\psi\rangle = \sum \lambda_n |n, n\rangle$$

energy conservation

$$W_p = W_s + W_i$$

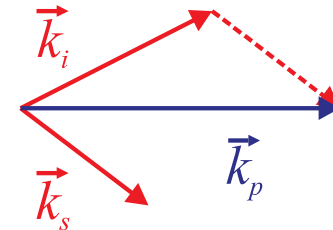


PDC in waveguides



momentum conservation

$$\vec{k}_p = \vec{k}_s + \vec{k}_i$$



**Spatial k-vectors
defined by guide**

Parametric down-conversion

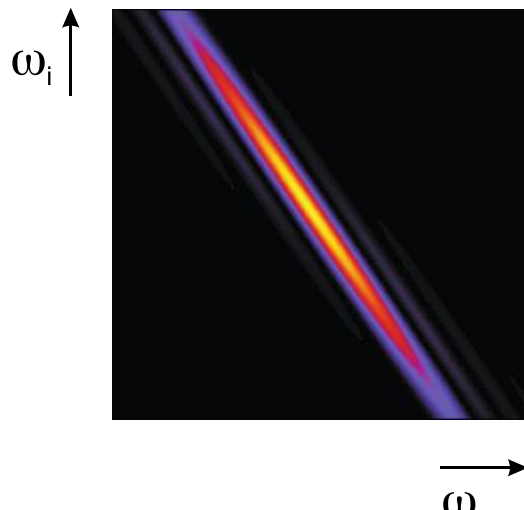
“Ideal” bi-photon state ...

$$|1\rangle |1\rangle = \hat{A}_s^\dagger \hat{B}_i^\dagger |0\rangle = \iint d\omega_s d\omega_i f_A(\omega_s) \cdot g_B(\omega_i) \hat{a}_{\omega_s}^\dagger \hat{a}_{\omega_i}^\dagger |0\rangle$$

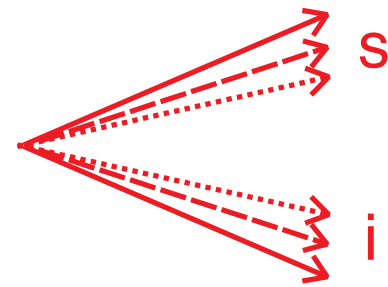
Functions $f_A(\omega_s)$ and $g_B(\omega_i)$ define **one** temporal mode each!

... but PDC is typically **correlated** in:

optical frequencies



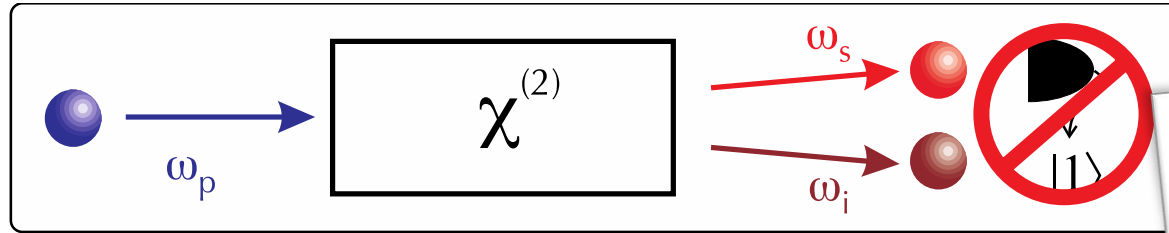
transverse momenta



**No correlations
for PDC in wave guides**

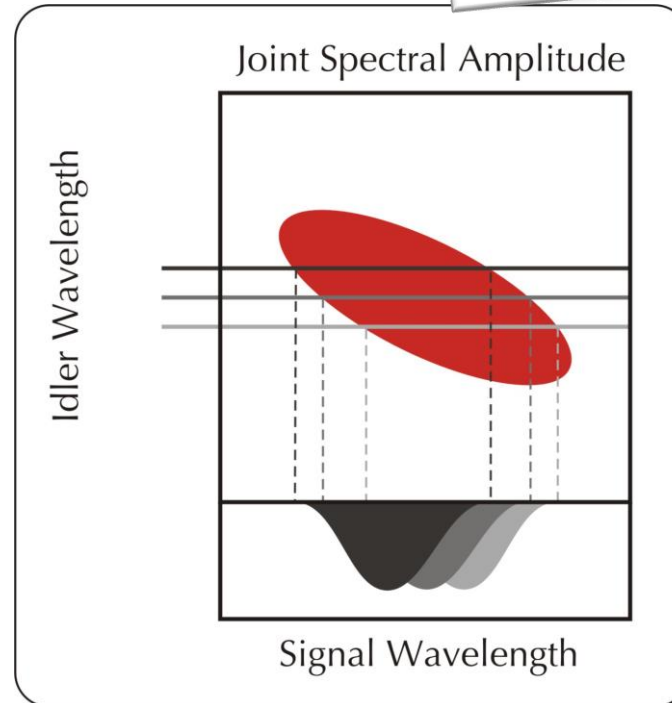
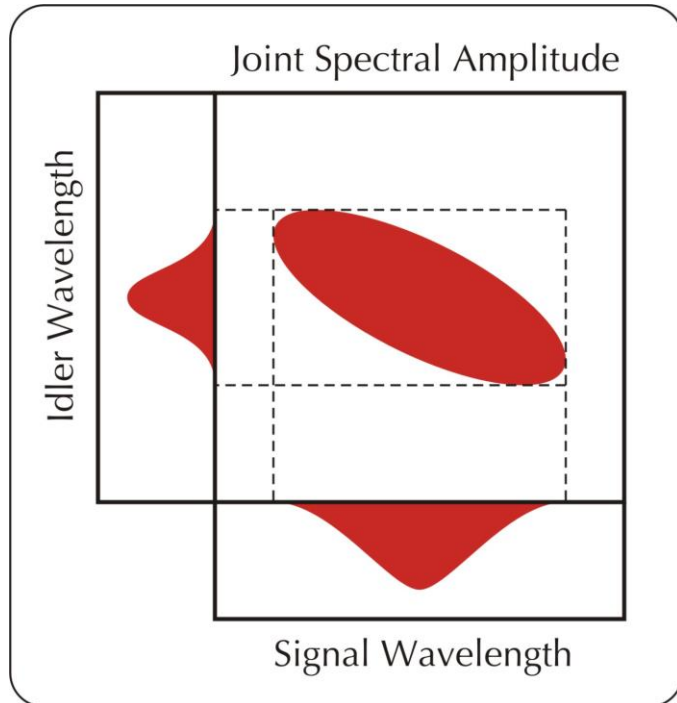
Heralding single photons

Correlated Bi-photon state



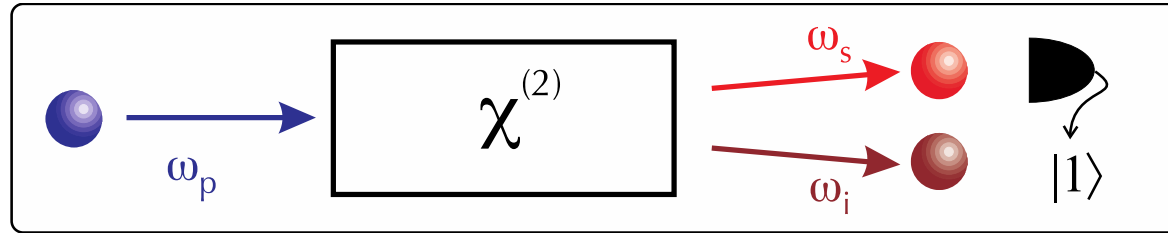
• mixed state:

$$\hat{\rho} = \int d\omega p(\omega) \hat{a}_\omega^\dagger |0\rangle \langle 0| \hat{a}_\omega$$

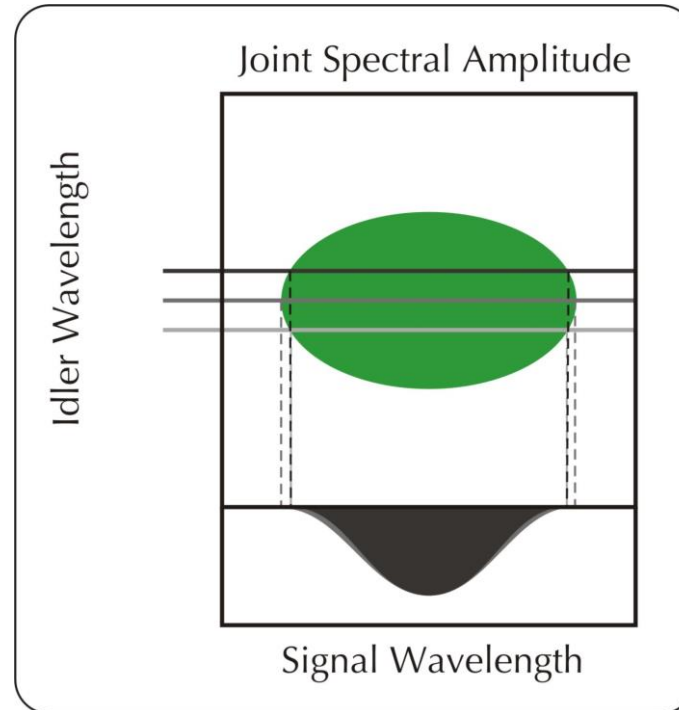
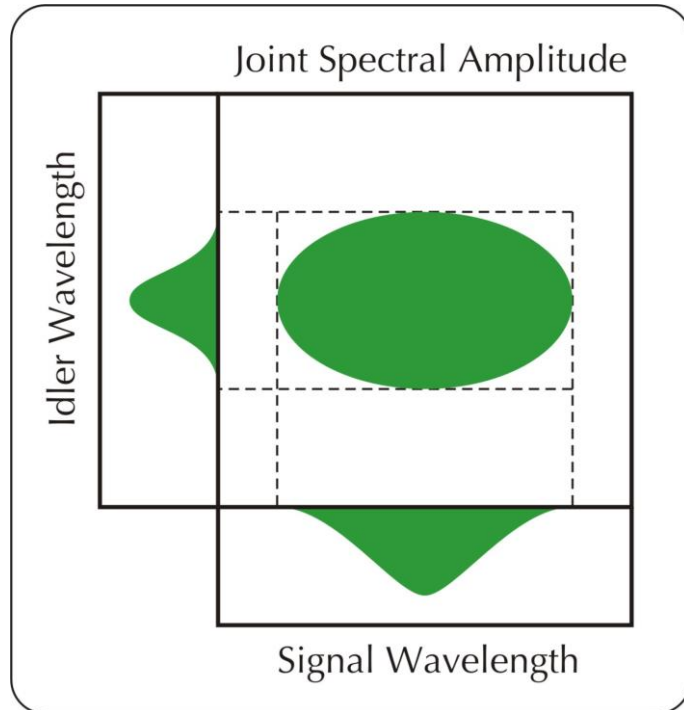
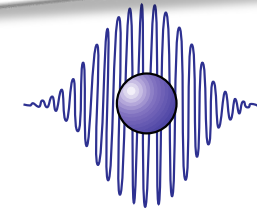


Heralding single photons

Uncorrelated Bi-photon state

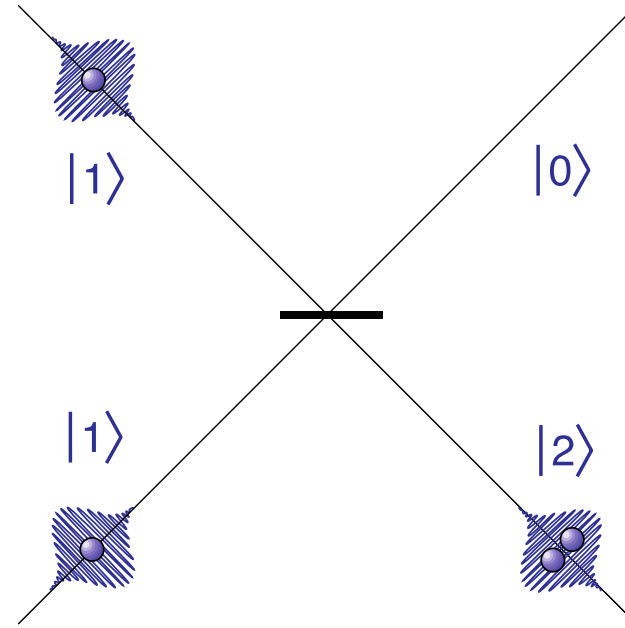
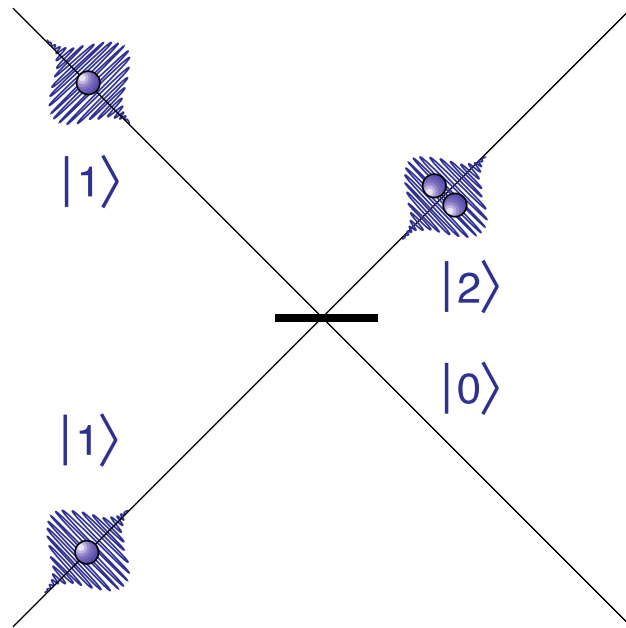
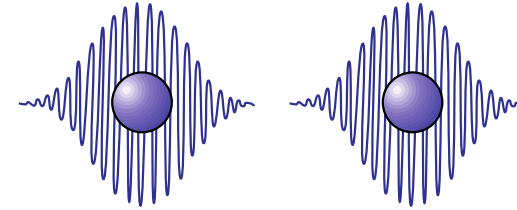


pure state:
 $|1\rangle = \int d\omega f(\omega) \hat{a}_\omega^\dagger |0\rangle = \hat{A}^\dagger |0\rangle, \quad \hat{\rho} = |1\rangle\langle 1|$



HOM interference

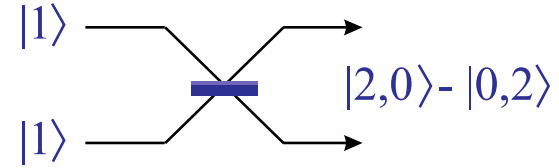
Pure single photons like to team up!



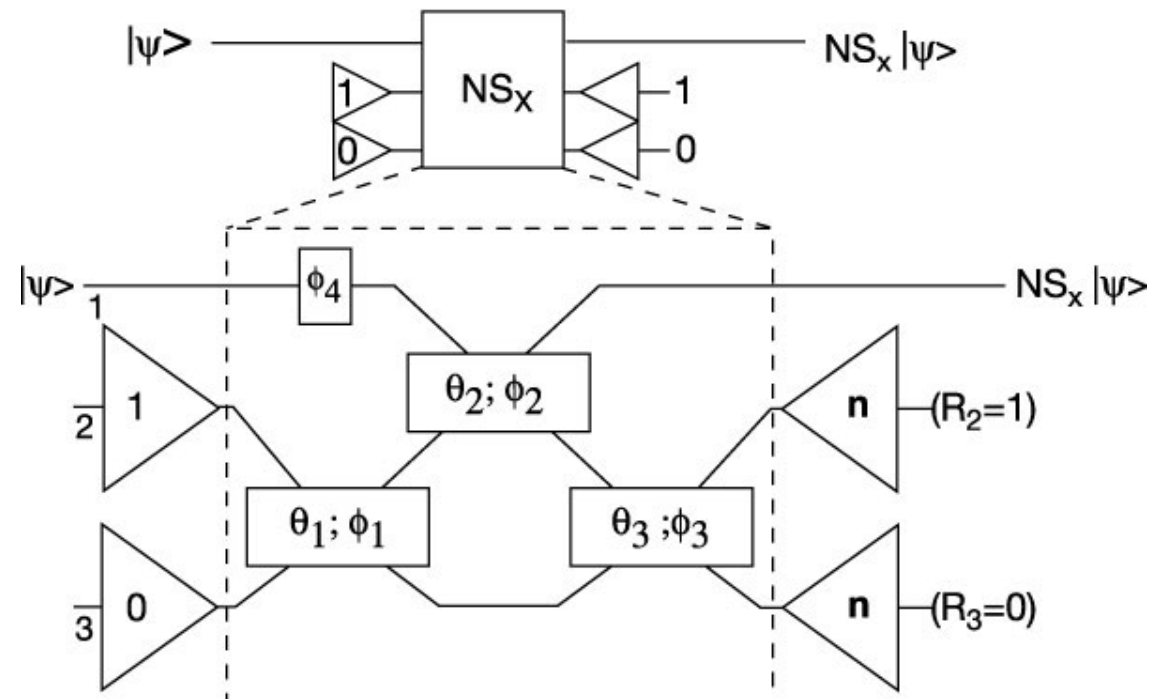
$$|1\rangle |1\rangle \longrightarrow |0\rangle |2\rangle - |2\rangle |0\rangle$$

Quantum information processing

What is HOMI good for?



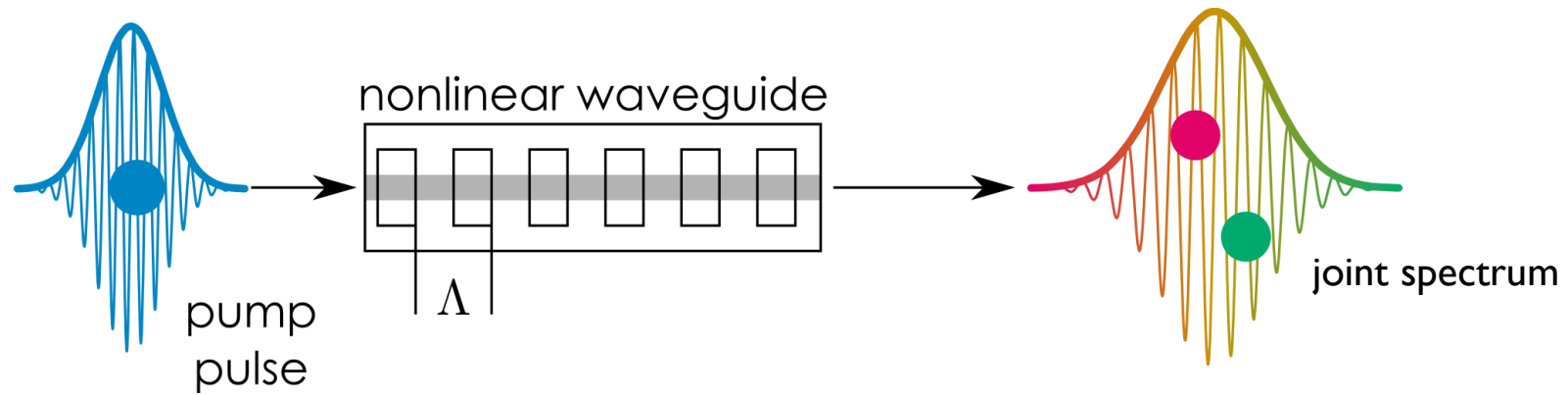
Linear optical quantum computation



Knill, Laflamme, Milburn, Nature **409**, 46, (2001)

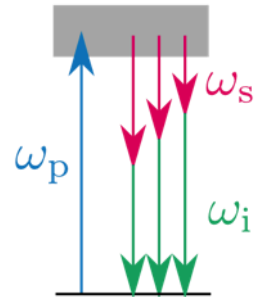


Guided-wave parametric down-conversion



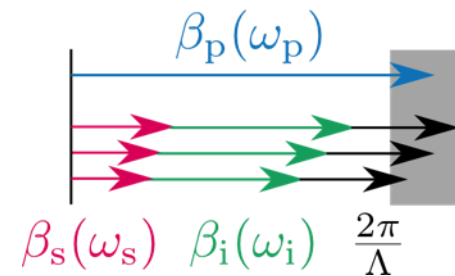
Energy conservation

$$\omega_p = \omega_s + \omega_i$$

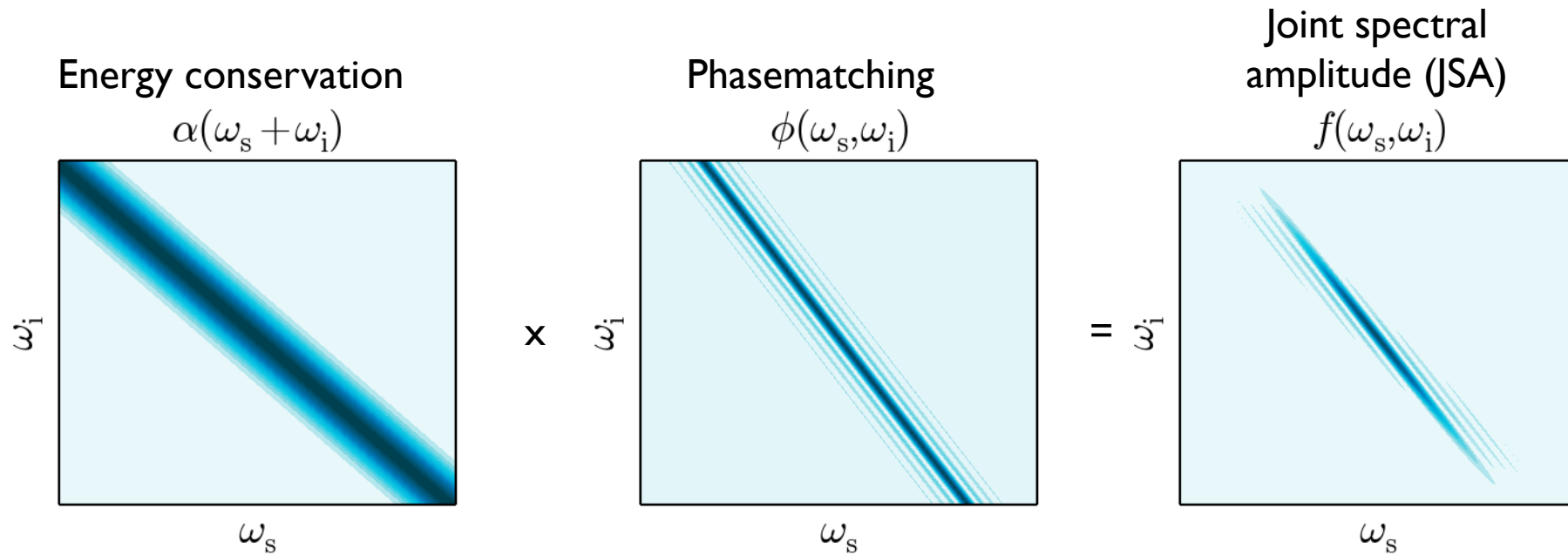


Phasematching

$$\beta_p = \beta_s + \beta_i + \frac{2\pi}{\Lambda}$$



Guided-wave parametric down-conversion



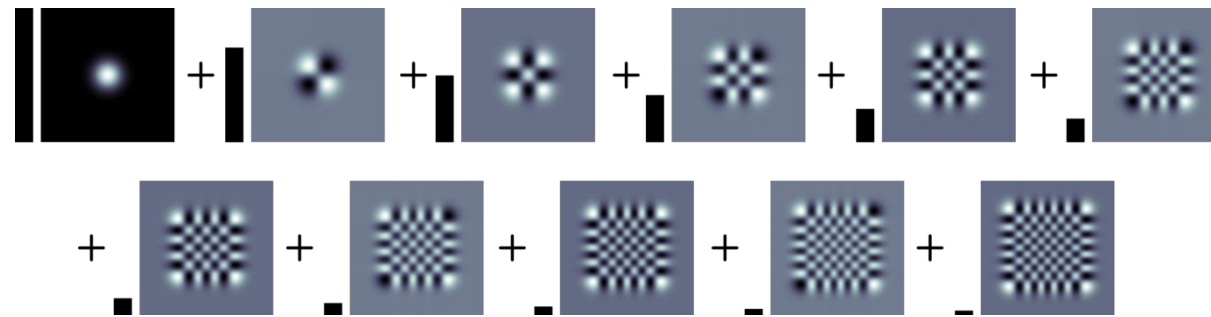
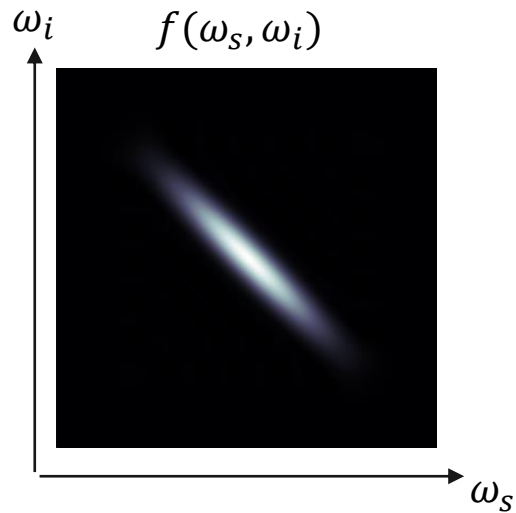
$$|\psi\rangle_{\text{PDC}} = \exp \left[\mathcal{B} \int d\omega_s d\omega_i f(\omega_s, \omega_i) \hat{a}^\dagger(\omega_s) \hat{b}^\dagger(\omega_i) + \text{h.c.} \right] |0\rangle$$

Bi-photon state (general)

$$|\Psi\rangle = |0\rangle|0\rangle + \iint d\omega_s d\omega_i f(\omega_s, \omega_i) \hat{a}_i^\dagger \hat{a}_s^\dagger |0\rangle \neq |0\rangle|0\rangle + \kappa |1\rangle|1\rangle$$

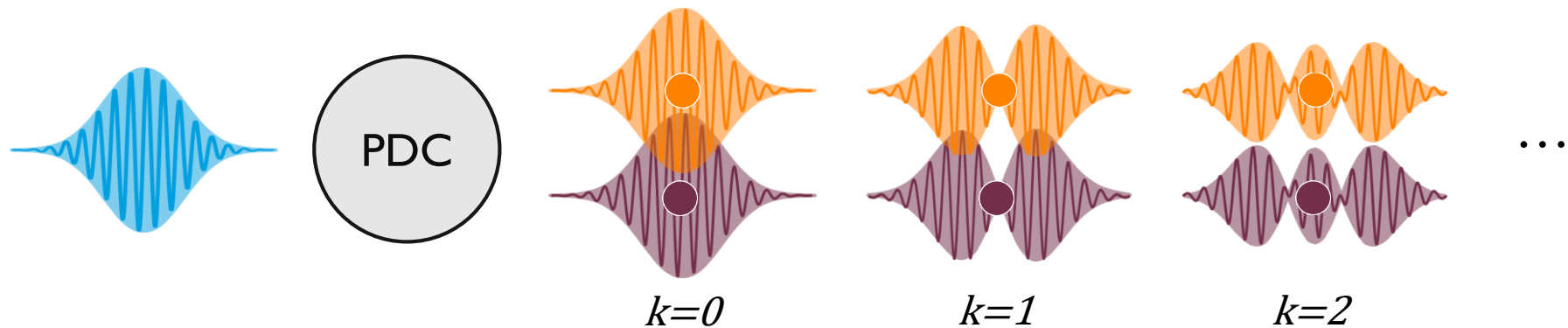
The Schmidt decomposition

$$f(\omega_s, \omega_i) = \sum_k \sqrt{\lambda_k} g_k(\omega_s) h_k(\omega_i)$$



$$|\psi\rangle_{\text{PDC}} = \bigotimes_k \exp \left[\theta \sqrt{\lambda_k} \hat{A}_k^\dagger \hat{B}_k^\dagger + h.c. \right] |0\rangle$$

$$|\psi\rangle_{\text{PDC}} = \bigotimes_k \exp \left[\theta \sqrt{\lambda_k} \hat{A}_k^\dagger \hat{B}_k^\dagger + h.c. \right] |0\rangle$$



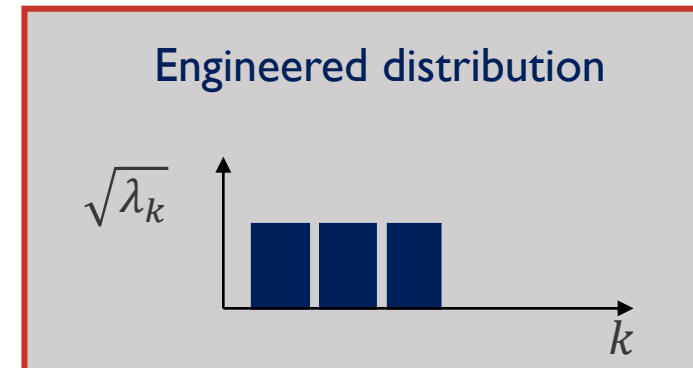
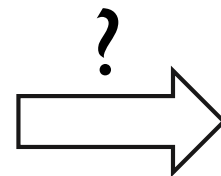
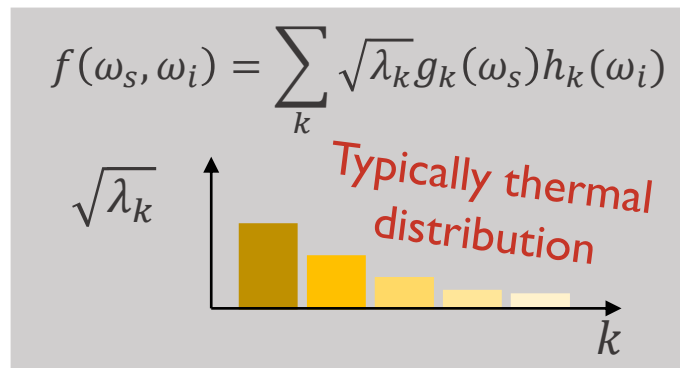
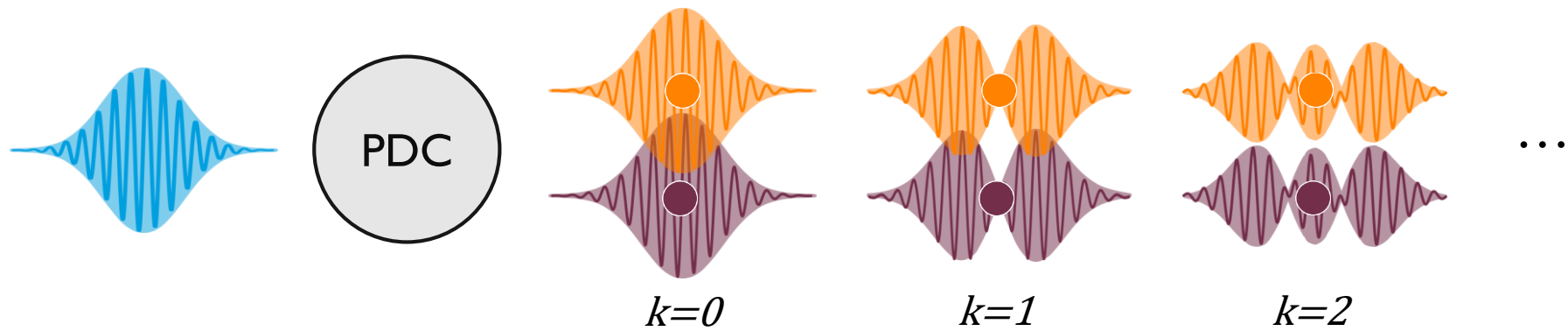
Multimode PDC state

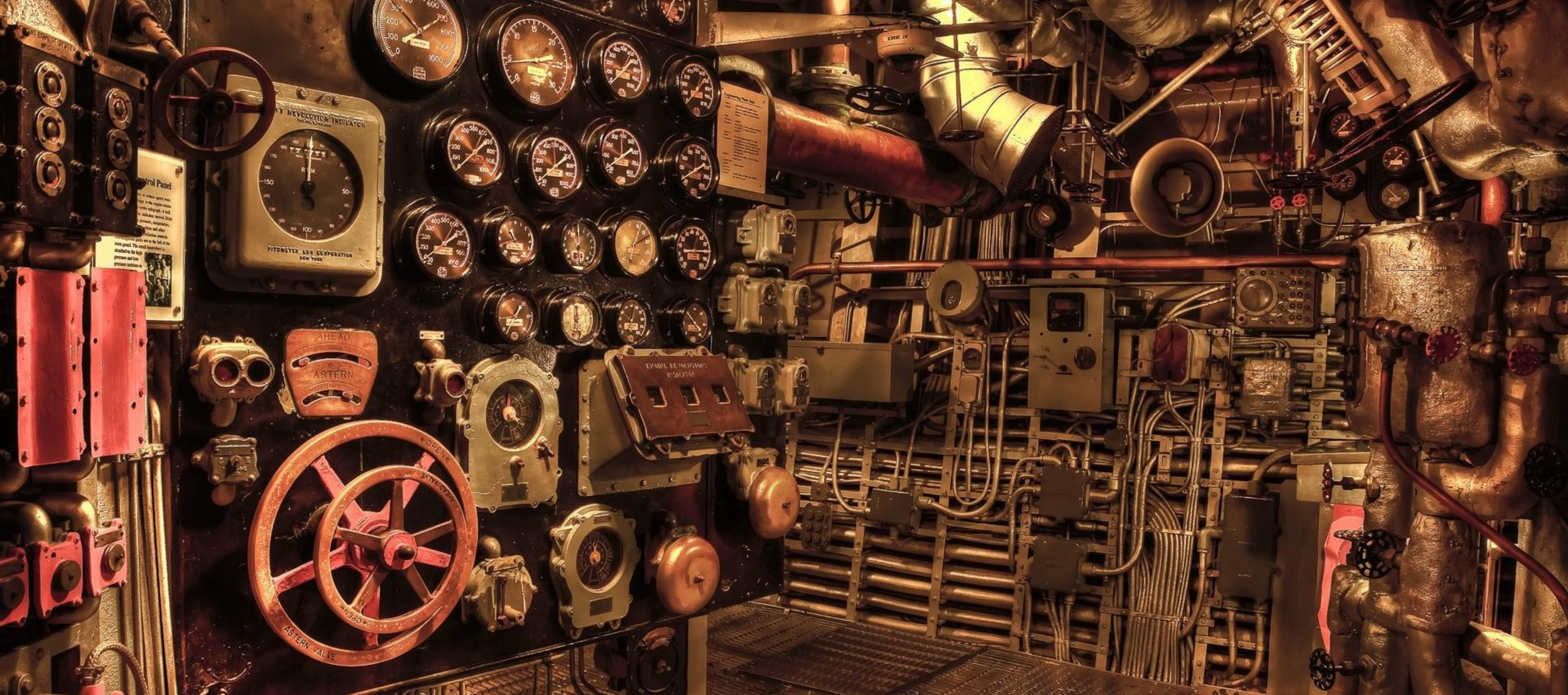
- ▶ The **effective number of modes / amount of spectral entanglement** is characterized by the Schmidt number

$$K = 1 / \left(\sum_k \lambda_k^2 \right)$$

- ▶ The temporal-mode properties are encoded in the JSA of the PDC

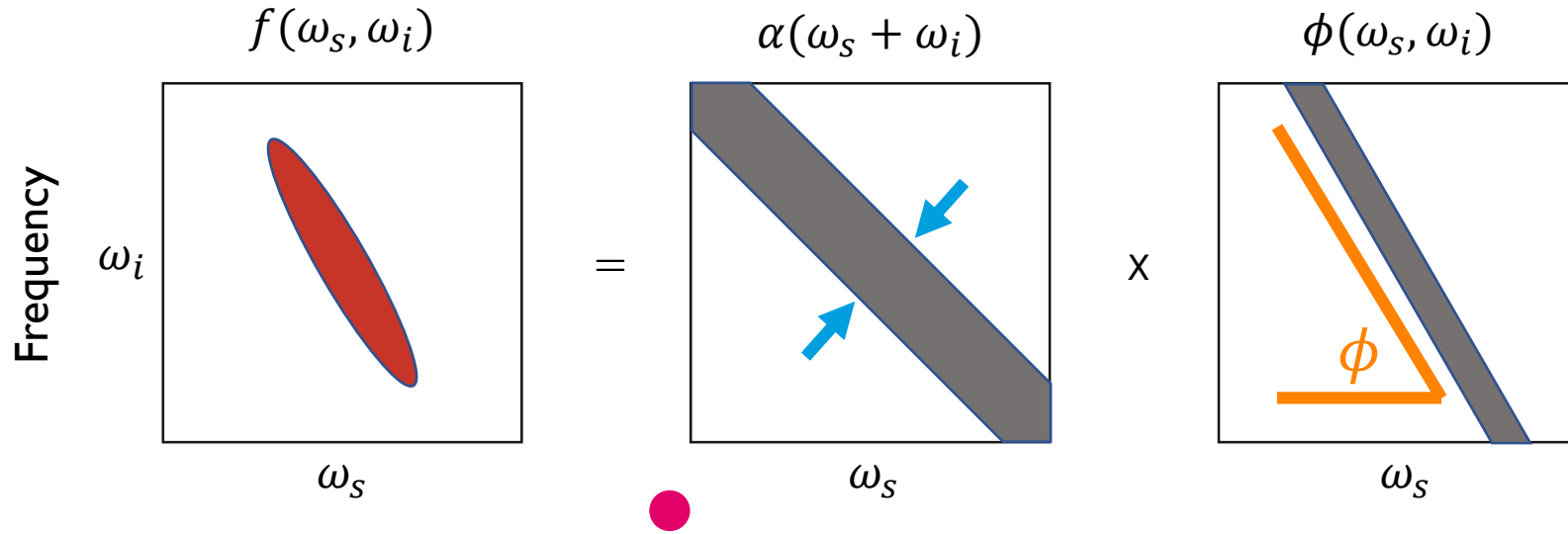
$$|\psi\rangle_{\text{PDC}} = \bigotimes_k \exp \left[\theta \sqrt{\lambda_k} \hat{A}_k^\dagger \hat{B}_k^\dagger + h.c. \right] |0\rangle$$



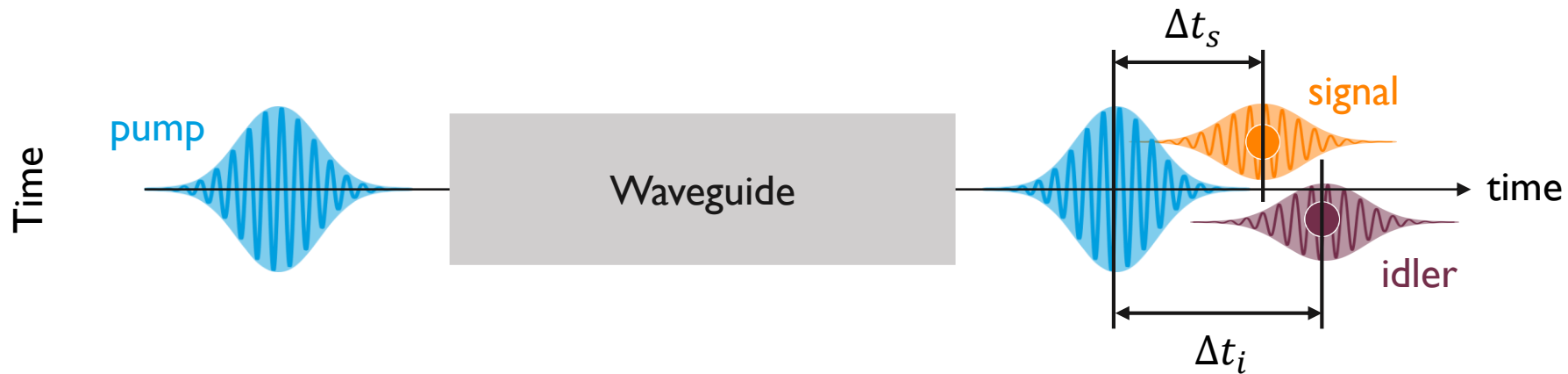


Source engineering – which knobs to turn?

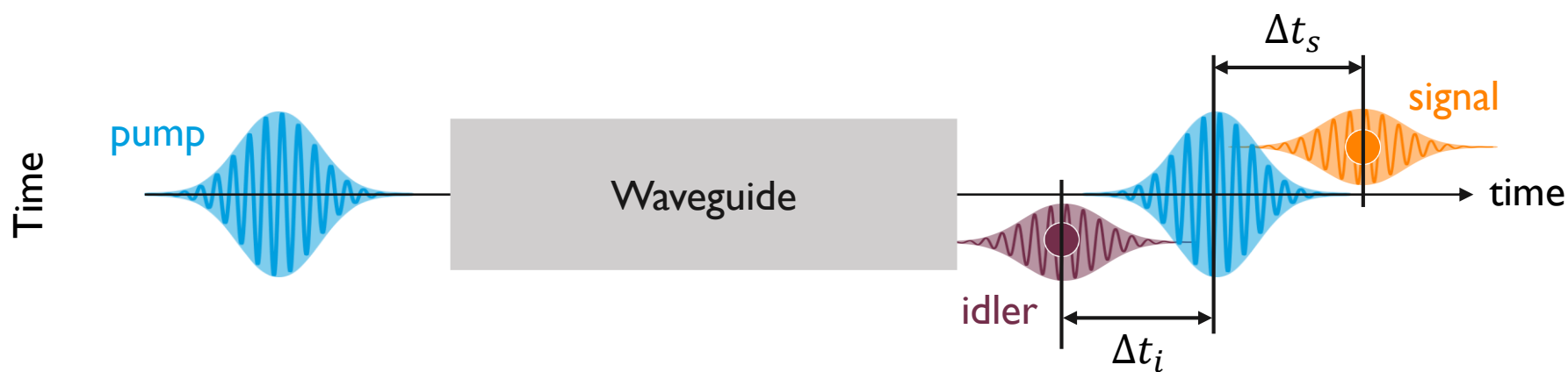
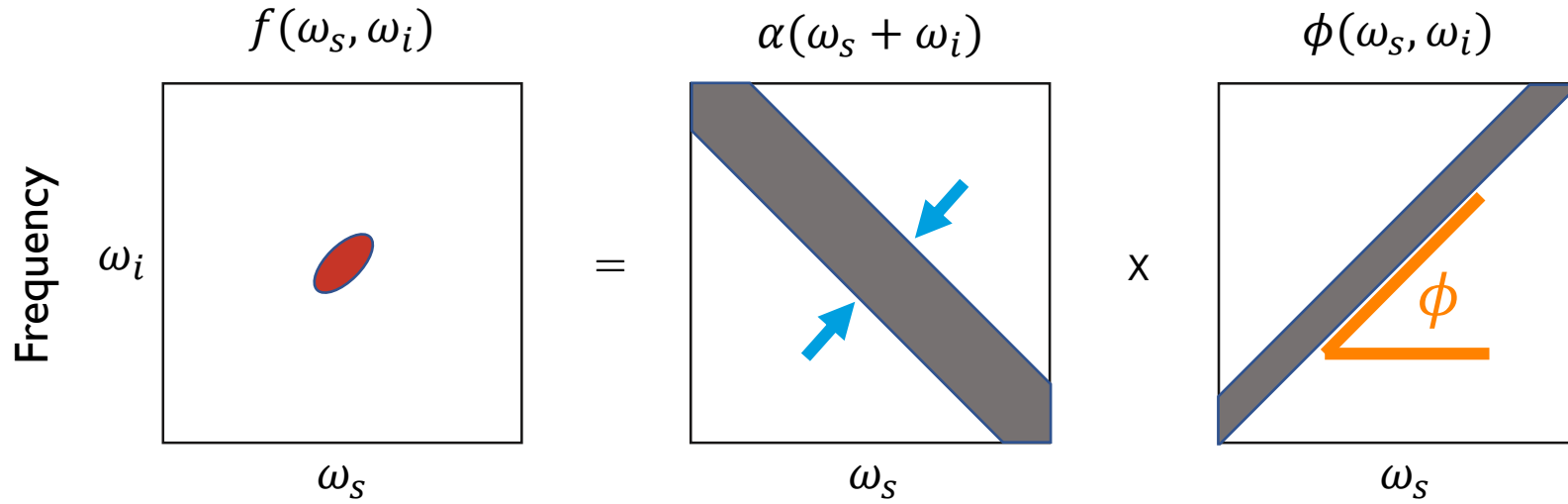
Group velocity matching



$$\tan \phi = -\frac{(v_s^{-1} - v_p^{-1})}{(v_i^{-1} - v_p^{-1})}$$



Group velocity matching



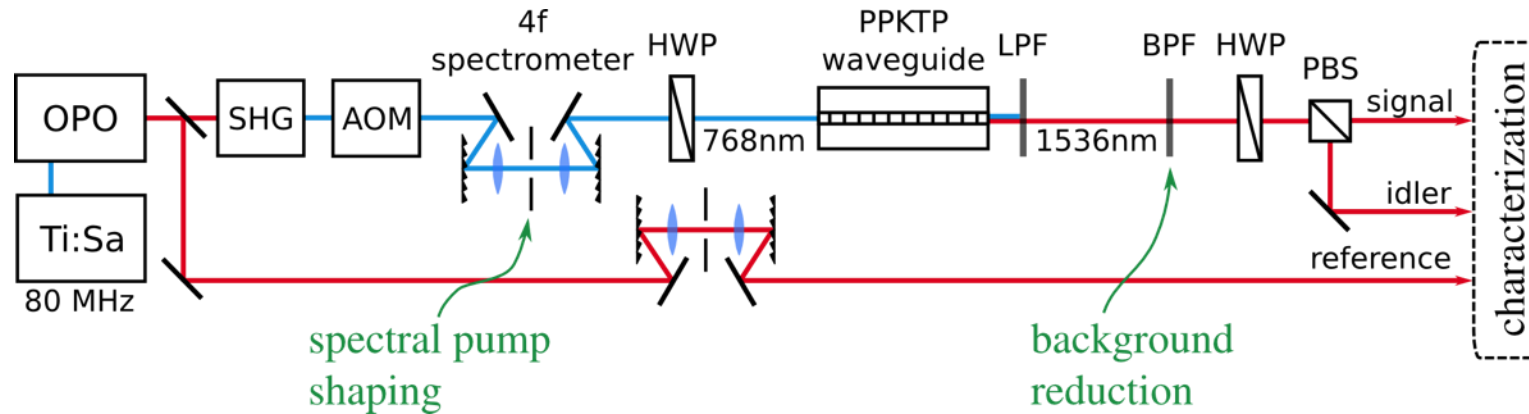
Pump spectrum

- Width
- Shape

Phasematching

- Angle
- (Pattern)

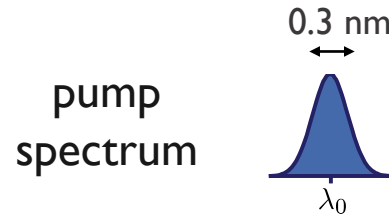
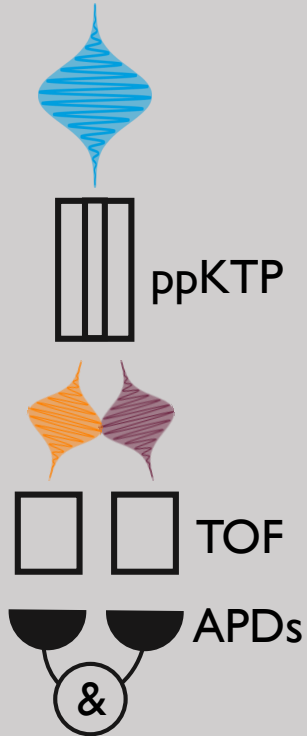
Experiment



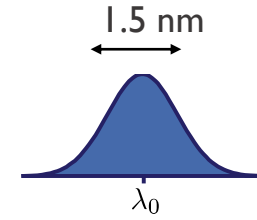
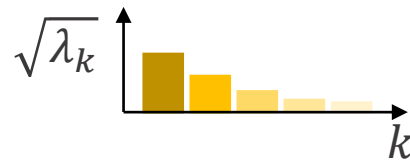
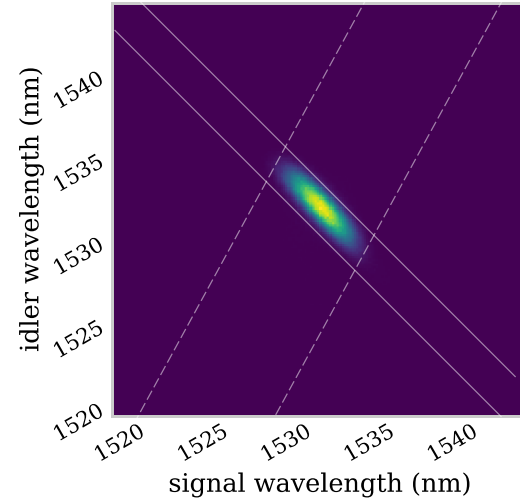
- No narrowband spectral filtering
- Coupling into single-mode fibers of **up to 70% and 80%**, corresponding to Klyshko efficiencies of **15.5% and 20.5%**.

ppKTP waveguide

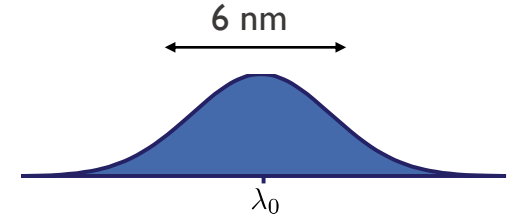
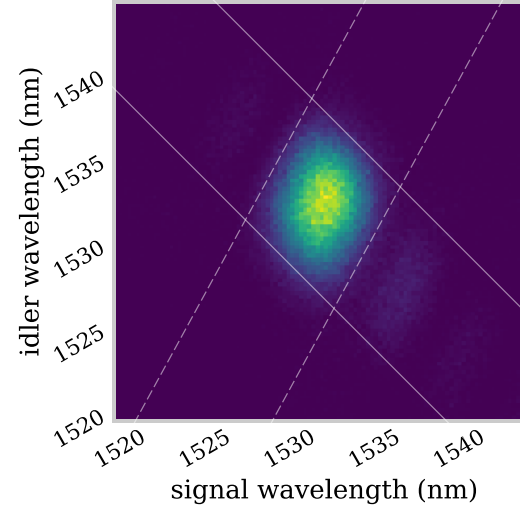
- group velocity matching at telecoms wavelengths
- high brightness
- 8mm length



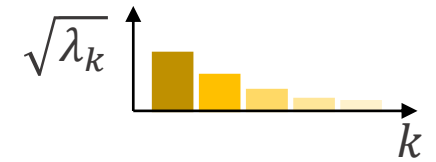
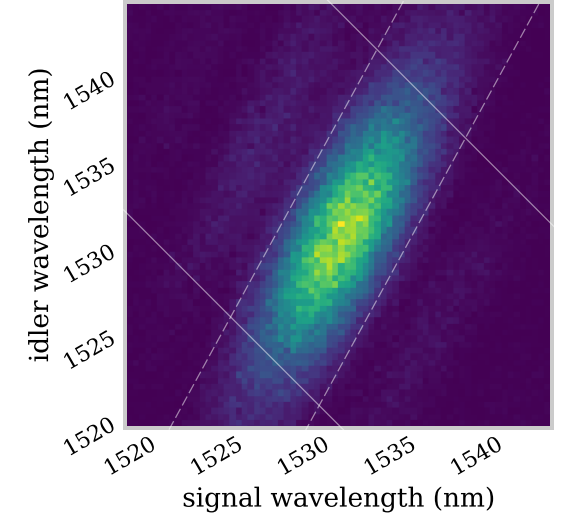
$$|f(\omega_s, \omega_i)|^2$$



$$|f(\omega_s, \omega_i)|^2$$



$$|f(\omega_s, \omega_i)|^2$$



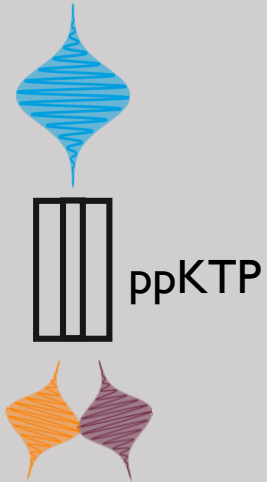
A. Eckstein et al, Phys. Rev. Lett. **106**, 013603 (2011)

G. Harder et al, Opt. Express **21**, 13975 (2013)

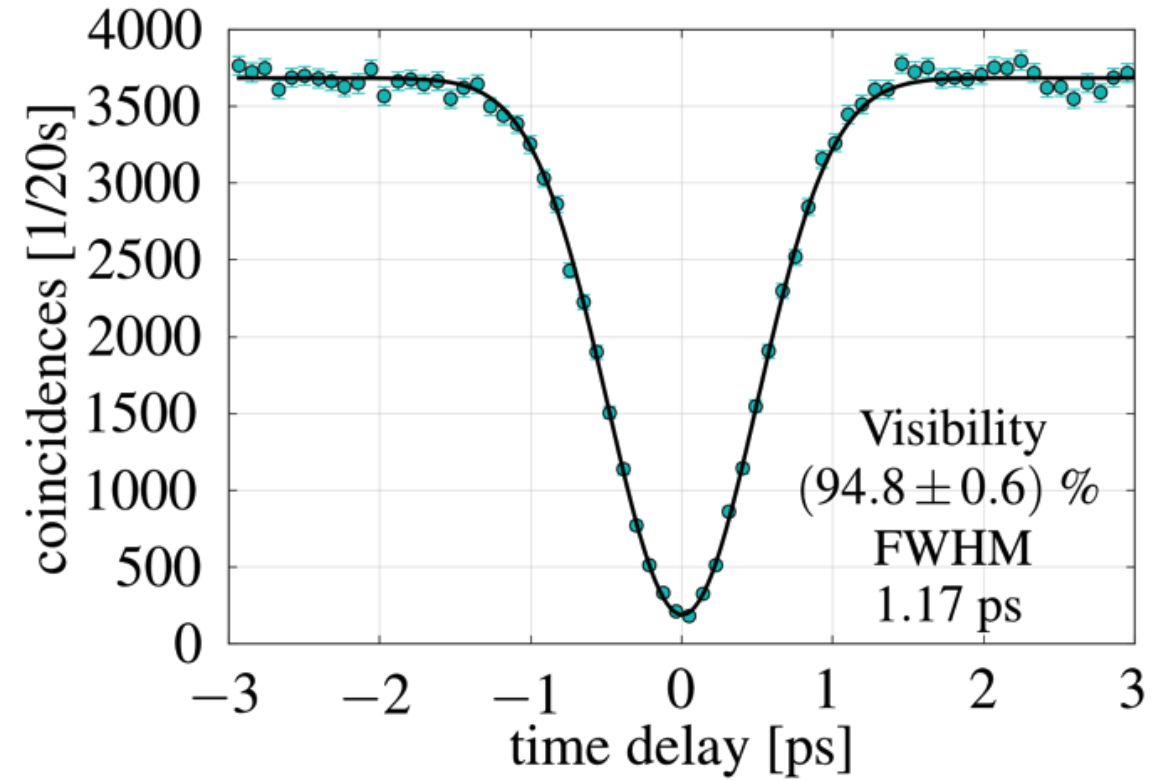
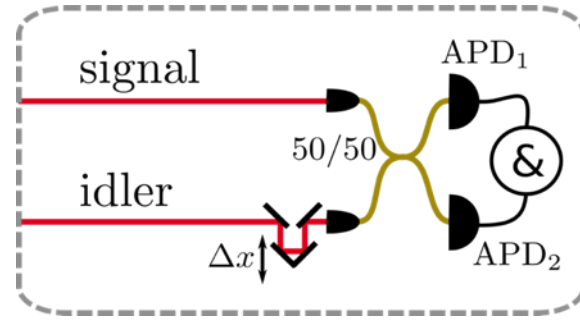


ppKTP waveguide

- group velocity matching at telecoms wavelengths
- high brightness
- 8mm length



signal-idler HOMI
→ indistinguishability

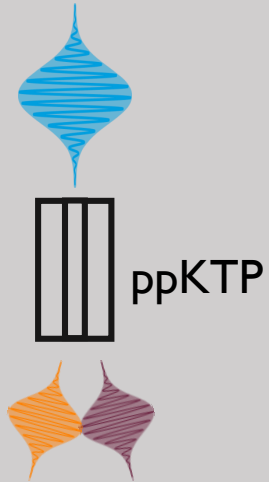
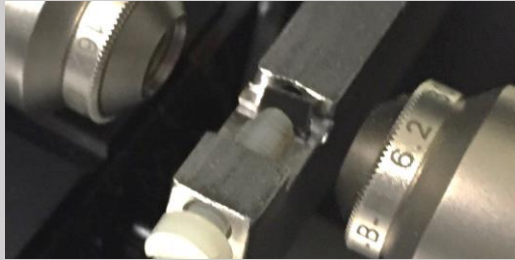


Visibility_{dip} ≈ 95%

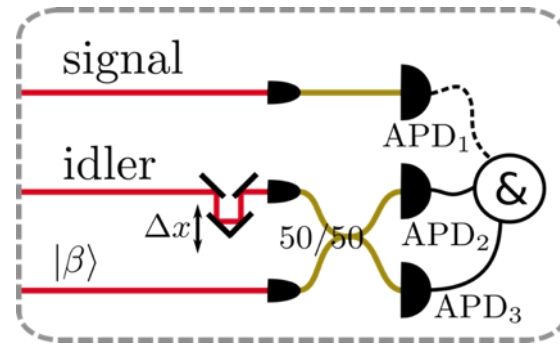
⇒ **High indistinguishability**

ppKTP waveguide

- group velocity matching at telecoms wavelengths
- high brightness
- 8mm length



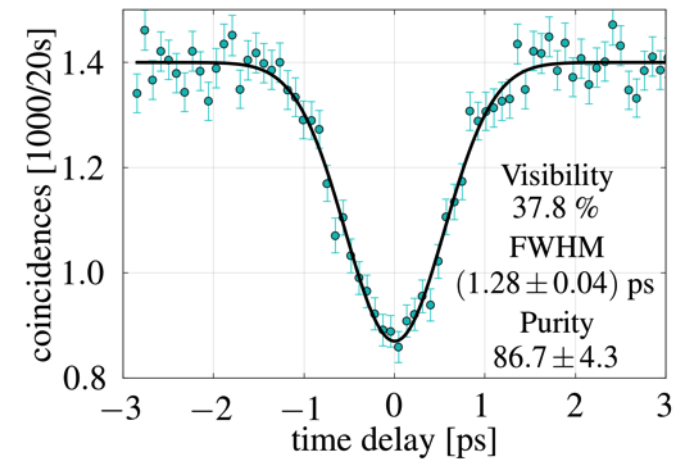
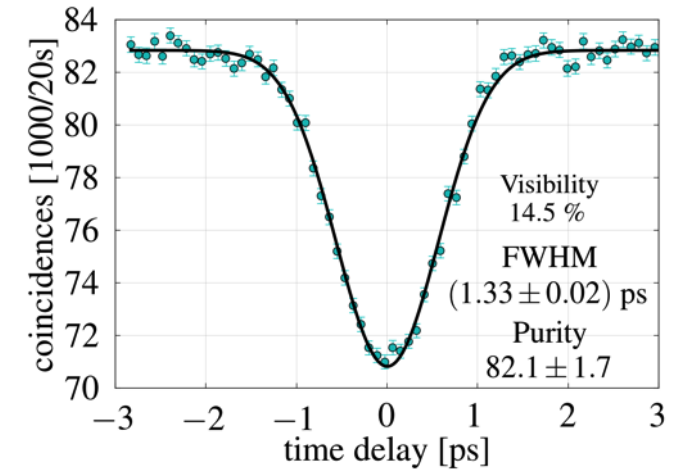
signal-reference HOMI
→ spectral purity



Purity ≈ 85%

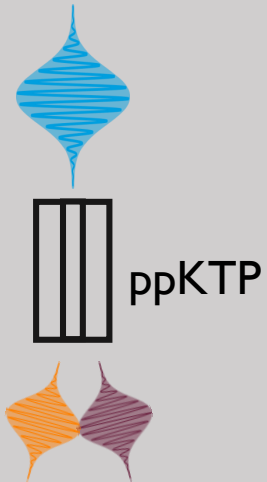
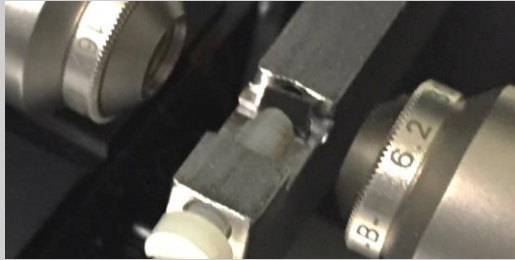
⇒ **High decorrelation**

For decorrelated joint spectral amplitude



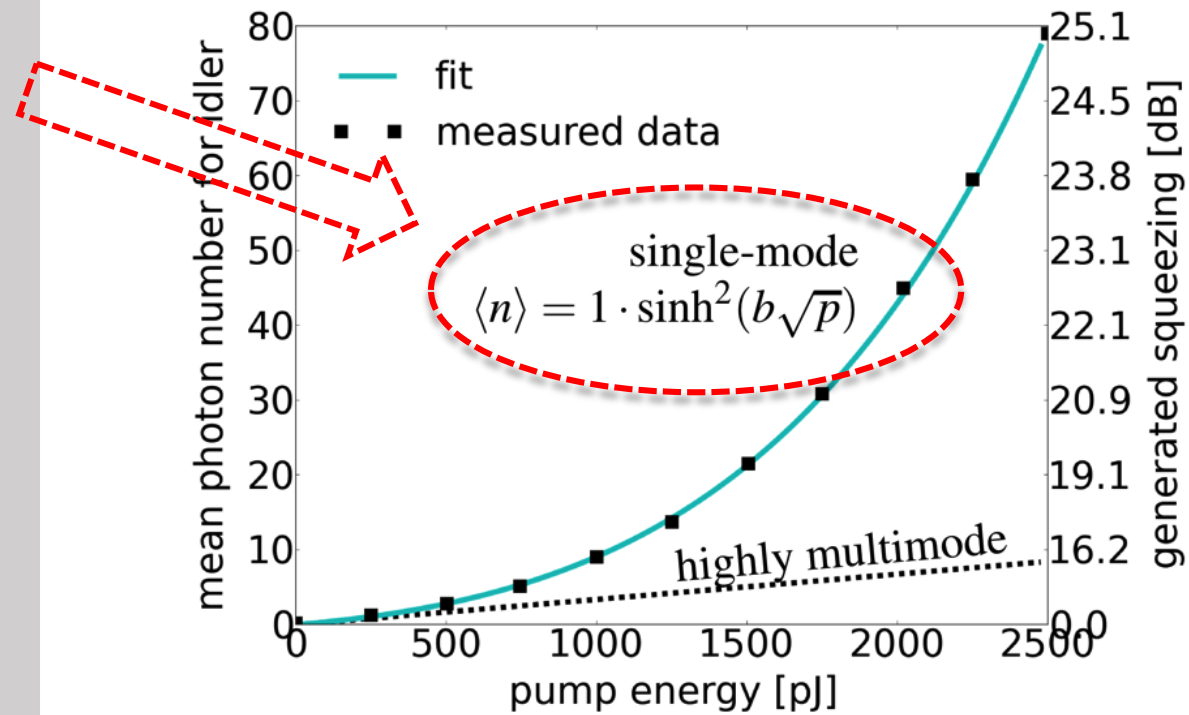
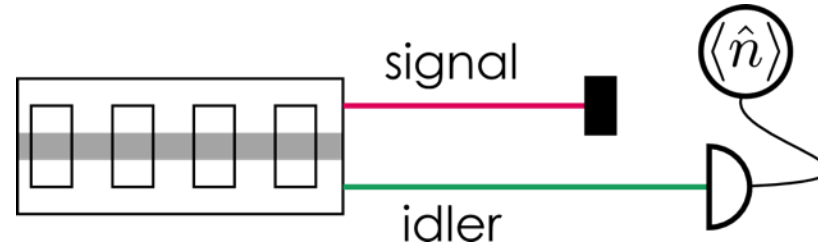
ppKTP waveguide

- group velocity matching at telecoms wavelengths
- high brightness
- 8mm length

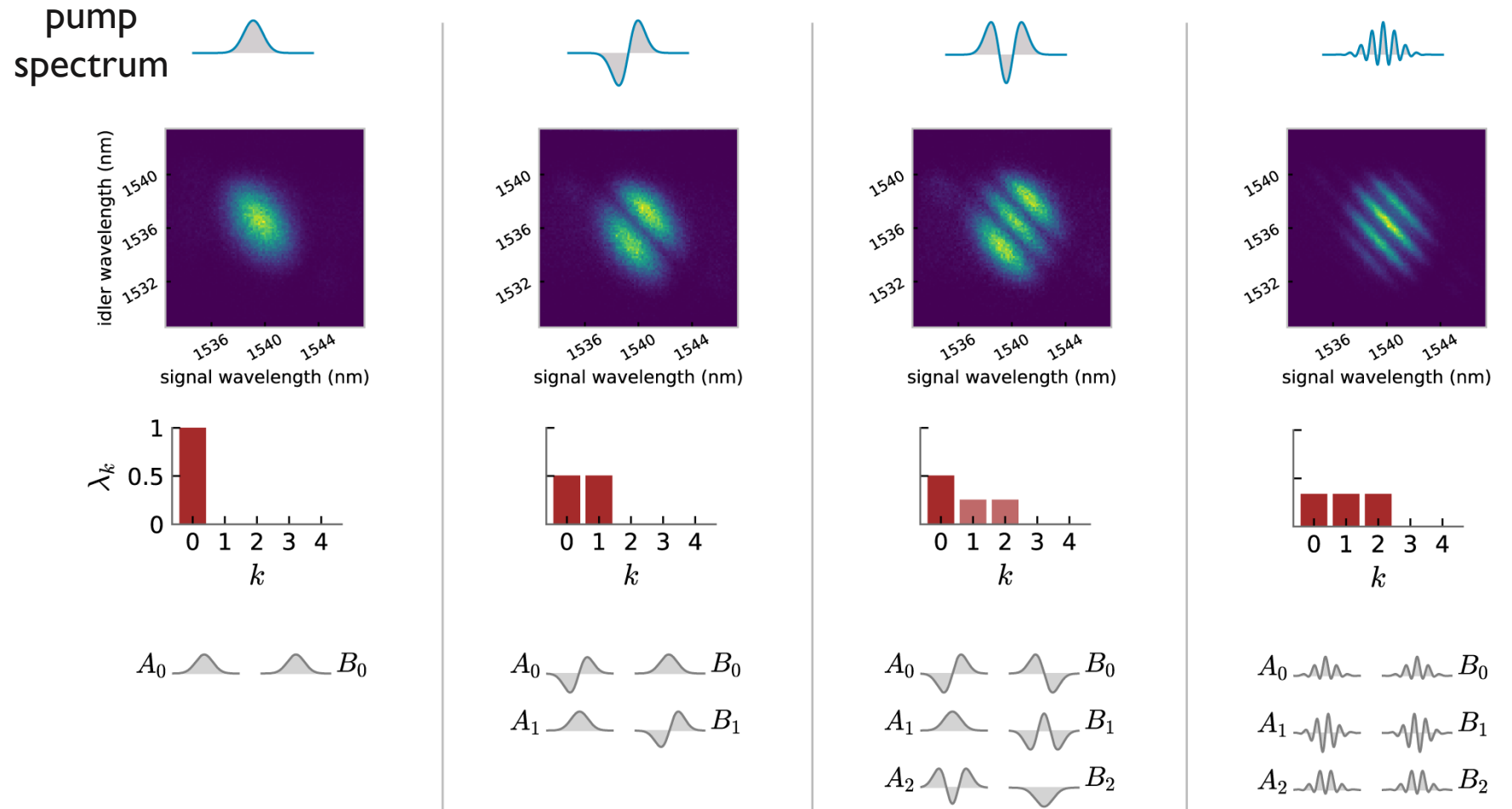
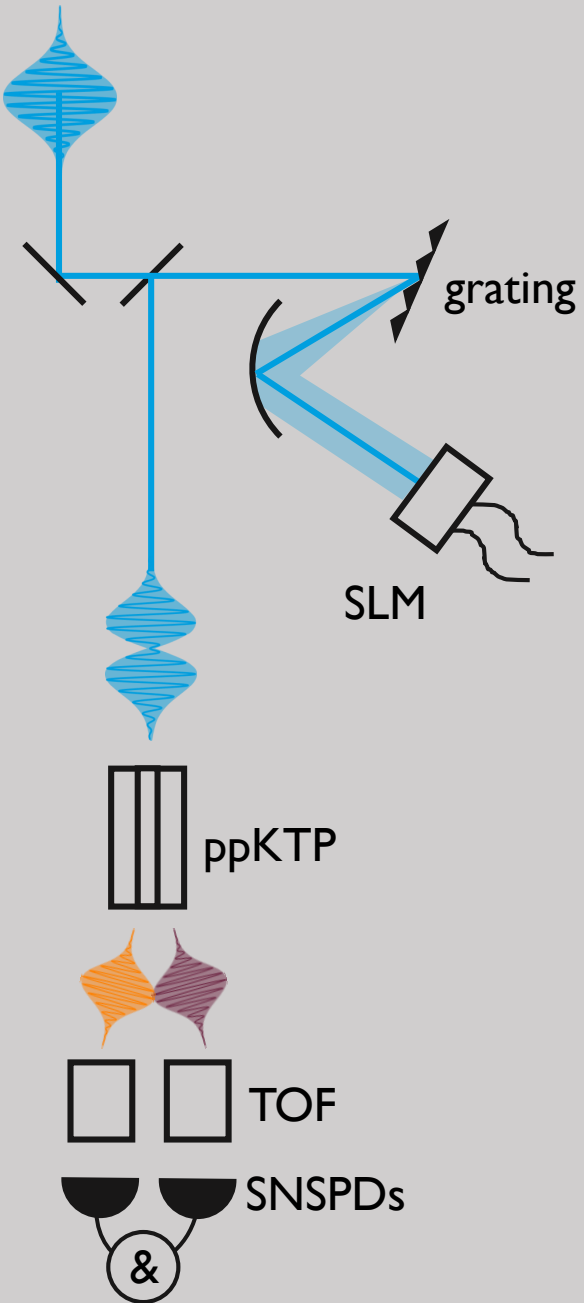


photon counting
→ source brightness

For decorrelated joint spectral amplitude



- High brightness
- Clean single-mode behaviour



Can generate user-defined temporal-mode states

B. Brecht et al, Phys. Rev. X **5**, 041017 (2015)
 V. Ansari et al, Optica **5**, 534 (2018)
 G. Patera et al, Eur. Phys. J. D **66**:241 (2012)



Outline

Optical
modes

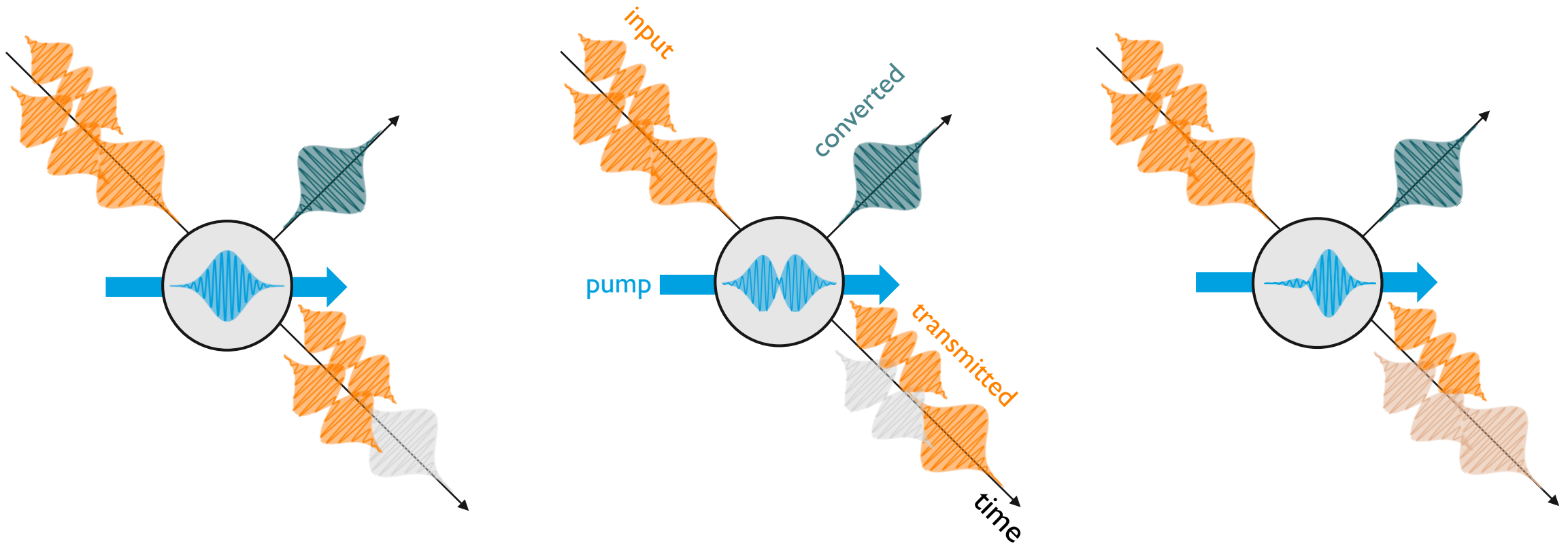
Parametric
down-conversion

**Quantum
pulse gate**

Applications

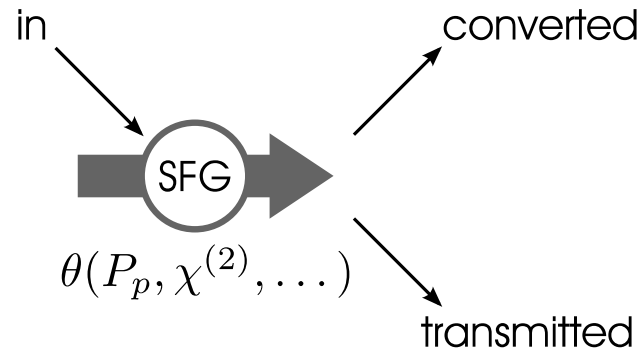


What would we like to have?



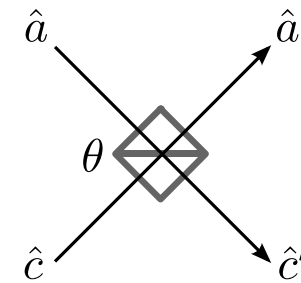
Sum-frequency generation? Maybe???

sum-frequency
generation



$$\hat{H}_{\text{SFG}} = \theta \left(\hat{a}_{\text{in}} \hat{c}_{\text{out}}^\dagger + \text{h.c.} \right)$$

beamsplitter



$$\hat{H}_{\text{BS}} = \theta \left(\hat{a} \hat{c}^\dagger + \hat{a}^\dagger \hat{c} \right)$$

Multi-mode theory for SFG

$$|\psi\rangle_{\text{out}} = e^{i\theta \int d\omega_{\text{in}} d\omega_{\text{out}} G(\omega_{\text{in}}, \omega_{\text{out}}) \hat{a}(\omega_{\text{in}}) \hat{c}^\dagger(\omega_{\text{out}}) + \text{h.c.}} |\psi\rangle_{\text{in}}$$

- ▶ Does this operate on one pulsed temporal mode?
- ▶ How can we define temporal modes for SFG?

Revealing the pulsed temporal modes

Starting point

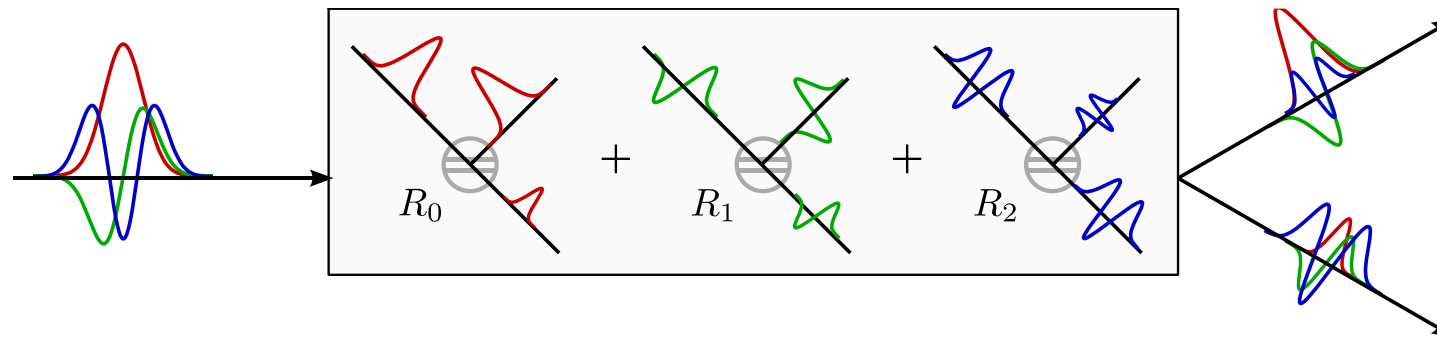
$$|\psi\rangle_{\text{out}} = e^{i\theta} \int d\omega_{\text{in}} d\omega_{\text{out}} G(\omega_{\text{in}}, \omega_{\text{out}}) \hat{a}(\omega_{\text{in}}) \hat{c}^\dagger(\omega_{\text{out}}) + \text{h.c.} |\psi\rangle_{\text{in}}$$

-
- some math
-

analogous to
Schmidt mode decomposition

$$|\psi\rangle_{\text{out}} = e^{i\sum_j \kappa_j \theta} (\hat{A}_j \hat{C}_j^\dagger + \hat{A}_j^\dagger \hat{C}_j) |\psi\rangle_{\text{in}}$$

Array of beamsplitters operating on pulse modes^[6,7]

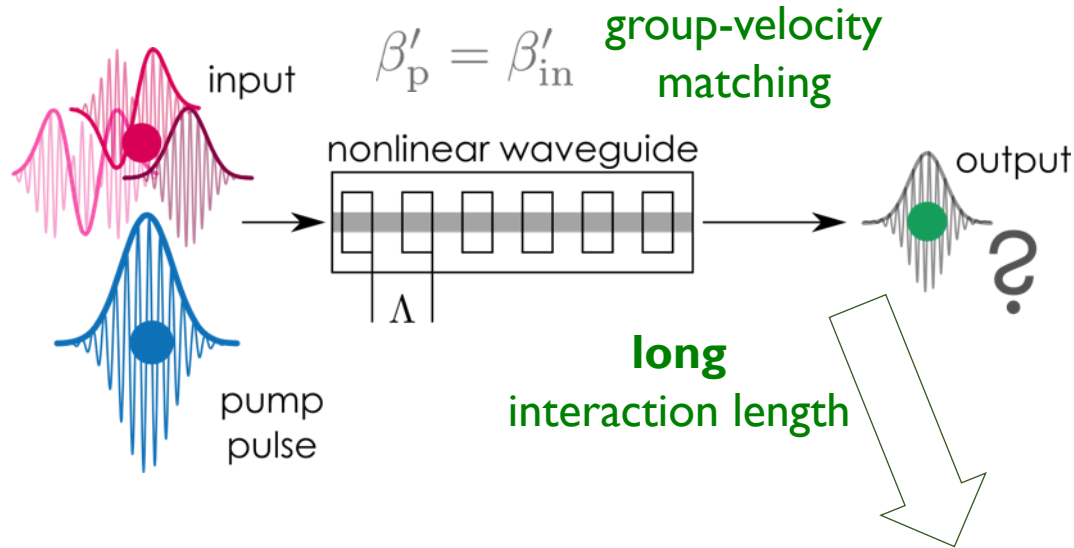


[6] M. G. Raymer et al., Opt. Comm. **283**, 747-752 (2010)

[7] A. Eckstein et al., Opt. Express **19** 13770 (2011),

The quantum pulse gate (QPG)

QPG = single TM SFG

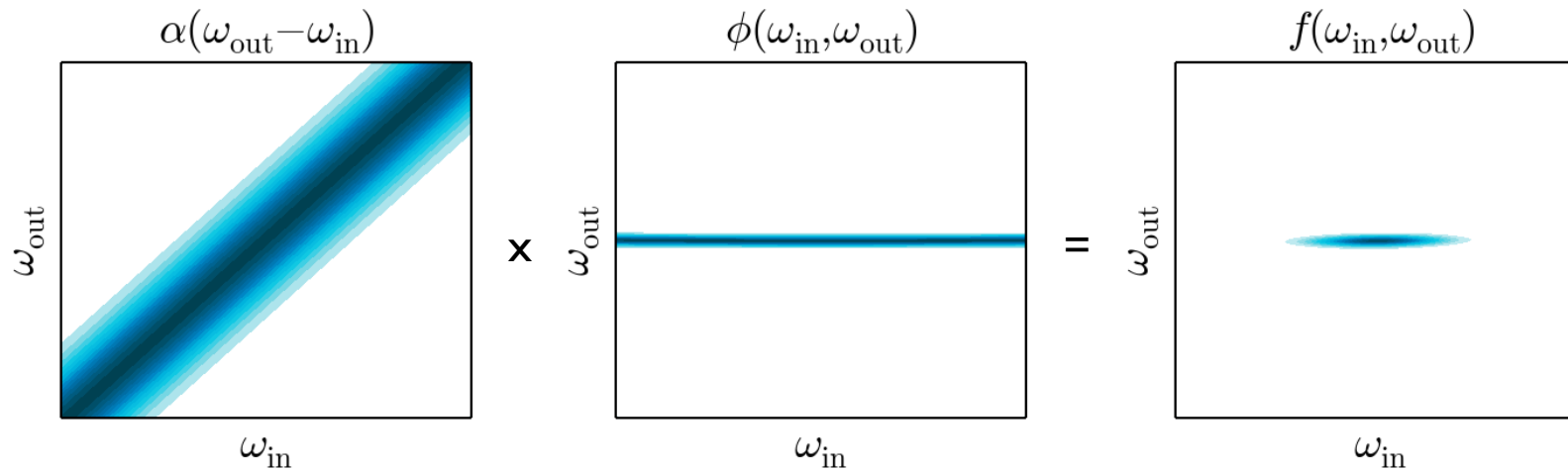


Energy conservation

$$\omega_p + \omega_{in} = \omega_{out}$$

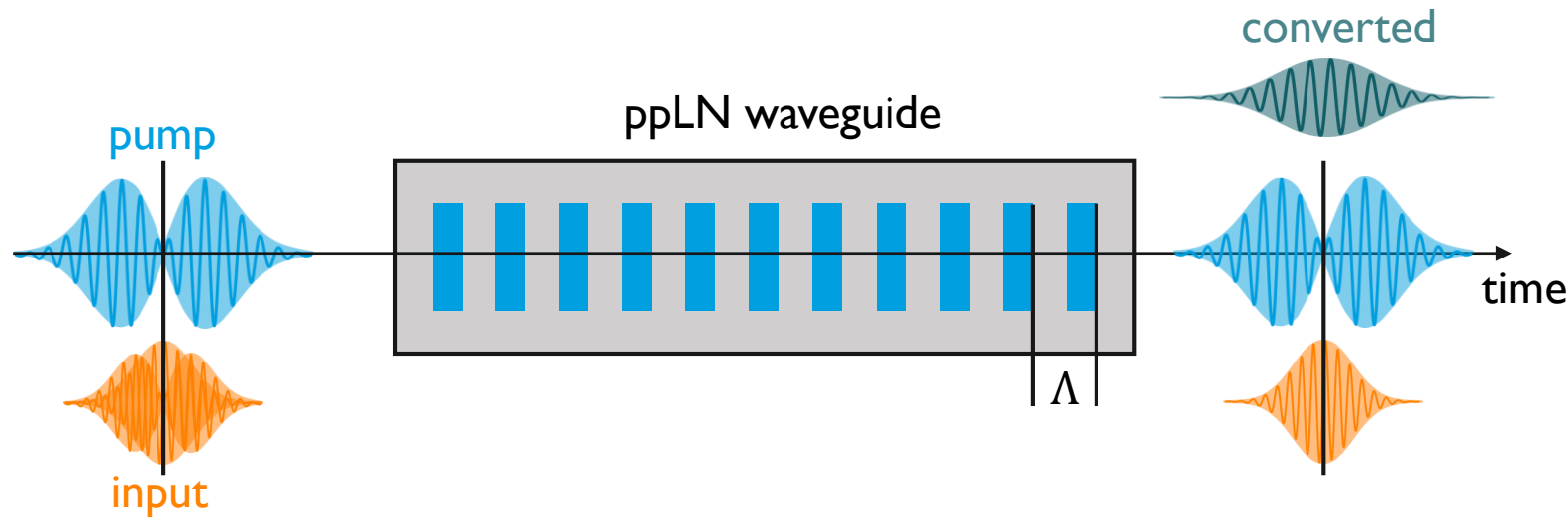
Phasematching

$$\beta_p + \beta_{in} + \frac{2\pi}{\Lambda} = \beta_{out}$$

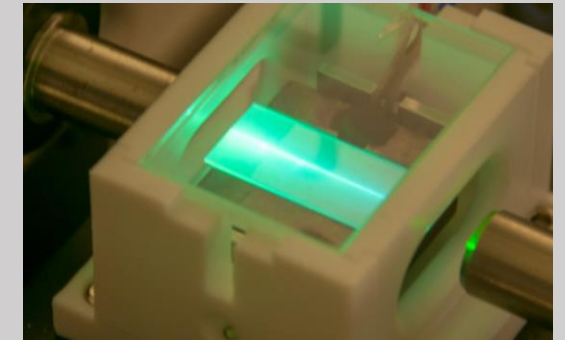


Realisation – group velocity matched sum frequency generation

$$\omega_c = \omega_p + \omega_{in}$$
$$k_c = k_p + k_{in} + \frac{2\pi}{\Lambda}$$

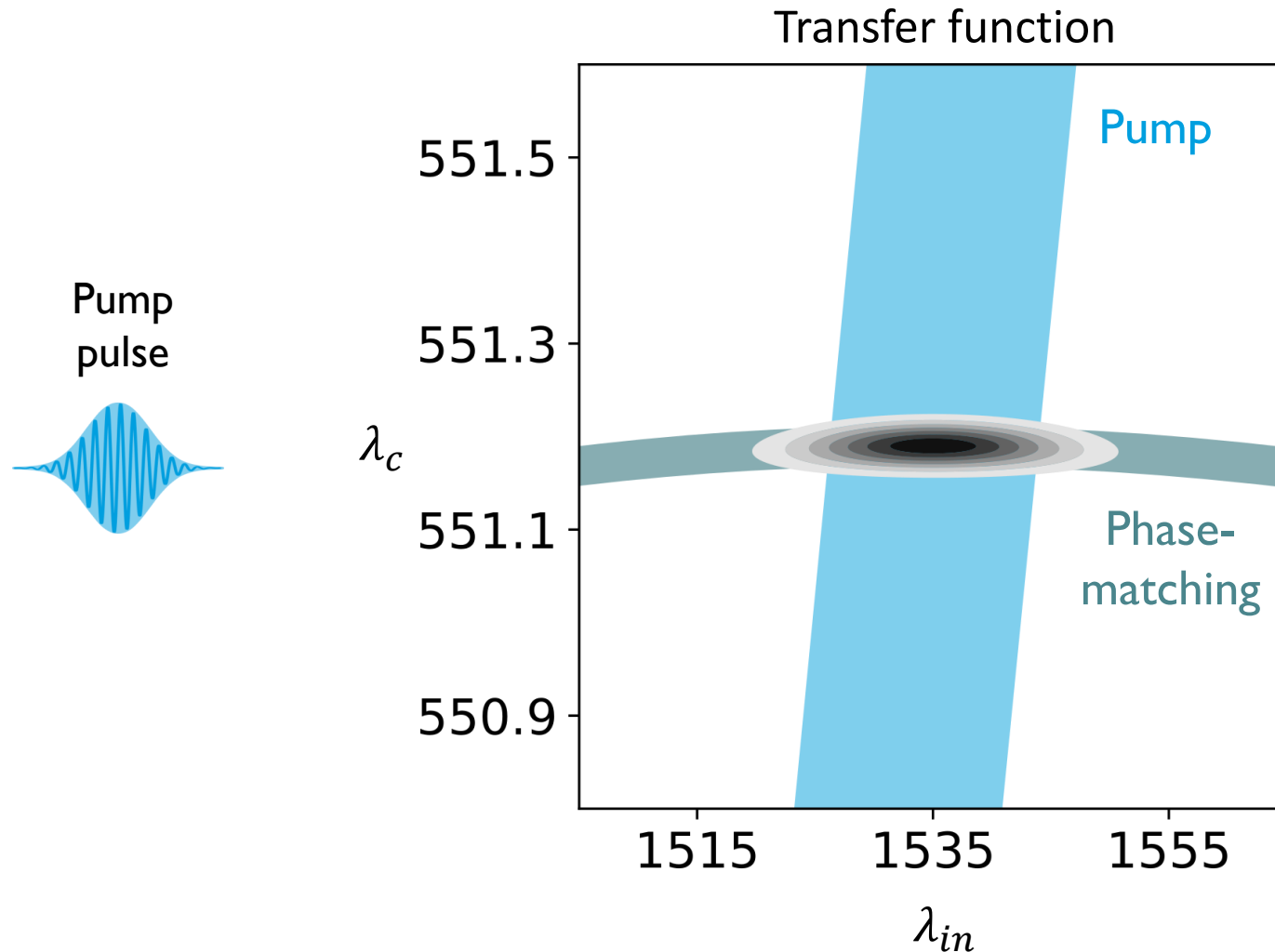


$$\eta_{\text{SFG}} \propto \int d\omega f_p(\omega) f_{in}^*(\omega)$$

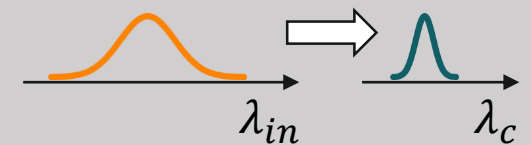


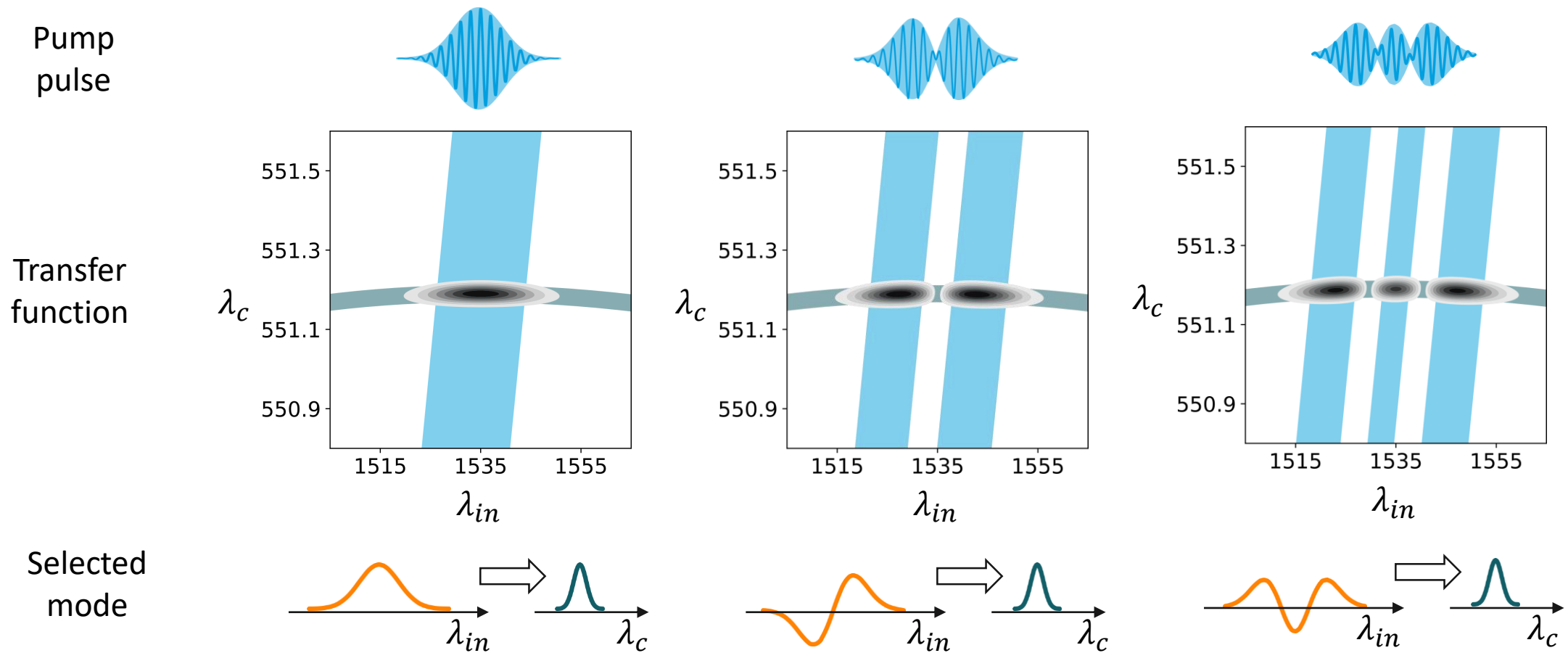
- **homebuilt** ppLN waveguide
- 4.5 μm poling period
- operated at 190 $^{\circ}\text{C}$
- type II SFG
- $v_g^{(p)} = v_g^{(in)}$
- $\lambda_{in} = 1550\text{nm}$
- $\lambda_p = 860\text{nm}$

A closer look at the pulse gate operation



- Transfer function is product of pump and phasematching (c.f. JSA)
- Can use the Schmidt decomposition formalism
- Selected input mode defined by pump
- Converted mode defined by phasematching





$$|\psi\rangle_{out} = \exp[\theta \hat{A} \hat{C}^\dagger + \theta^* \hat{A}^\dagger \hat{C}] |\psi\rangle_{in}$$

QPG = special beam splitter for temporal modes

A quantum pulse gate based on spectrally engineered sum frequency generation

Andreas Eckstein,^{1,*} Benjamin Brecht,² and Christine Silberhorn²

¹Max Planck Institute for the Science of Light, Günther-Scharowsky-Strasse 1, 91054 Erlangen, Germany

²Appl

New Journal of Physics

The open-access journal for physics

From quantum pulse gate to quantum pulse shaper—engineered frequency conversion in nonlinear optical waveguides

Benjamin Brecht^{1,3}, Andreas Eckstein^{1,2}, Andreas Christ^{1,2}, Hubertus Suche¹ and Christine Silberhorn^{1,2}

¹ Applied Physics, University of Paderborn, Warburger Strasse 100, 33098 Paderborn, Germany

RAPID COMMUNICATIONS

PHYSICAL REVIEW A **90**, 030302(R) (2014)

Demonstration of coherent time-frequency Schmidt mode selection using dispersion-engineered frequency conversion

Benjamin Brecht,¹ Andreas Eckstein,^{1,2} Raimund Ricken,¹ Viktor Quiring,¹ Hubertus Suche,¹ Linda Sansoni,¹ and Christine Silberhorn¹

¹Integrated Quantum Optics, Applied Physics, University of Paderborn, Warburger Strasse 100 33098, Paderborn, Germany

²Clarendon Laboratory, University of Oxford, Parks Road, Oxford OX1 3PU, United Kingdom

(Received 18 March 2014; published 12 September 2014)

B. Brecht et al, Phys. Rev. X **5**, 041017 (2015)

ARTICLE

Received 8 Oct 2016 | Accepted 16 Dec 2016 | Published 30 Jan 2017

DOI: 10.1038/ncomms14288

OPEN

Highly efficient frequency conversion with bandwidth compression of quantum light

Markus Allgaier¹, Vahid Ansari¹, Linda Sansoni¹, Christof Eigner¹, Viktor Quiring¹, Raimund Ricken¹, Georg Harder¹, Benjamin Brecht^{1,2} & Christine Silberhorn¹

APPLIED PHYSICS LETTERS **112**, 031110 (2018)

Streak camera imaging of single photons at telecom wavelength

Markus Allgaier,¹ Vahid Ansari,¹ Christof Eigner,¹ Viktor Quiring,¹ Raimund Ricken,¹ John Matthew Donohue,¹ Thomas Czerniuk,² Marc Aßmann,² Manfred Bayer,² Benjamin Brecht,^{1,3} and Christine Silberhorn¹

¹Integrated Quantum Optics, Applied Physics, University of Paderborn, 33098 Paderborn, Germany

²Experimentelle Physik II, Technische Universität Dortmund, D-44221 Dortmund, Germany

³University of Cambridge, United Kingdom

(January 2018)

Quantum Science and Technology

PAPER

Fast time-domain measurements on telecom single photons

Markus Allgaier¹, Gesche Vigh¹, Vahid Ansari¹, Christof Eigner¹, Viktor Quiring¹, Raimund Ricken¹, Benjamin Brecht^{1,2} and Christine Silberhorn¹

¹ Integ

² Clare

E-mail:

PHYSICAL REVIEW LETTERS **120**, 213601 (2018)

Tomography and Purification of the Temporal-Mode Structure of Quantum Light

Vahid Ansari,^{1,*} John M. Donohue,^{1,†} Markus Allgaier,¹ Linda Sansoni,¹ Benjamin Brecht,^{1,2} Jonathan Roslund,³ Nicolas Treps,³ Georg Harder,¹ and Christine Silberhorn¹

¹Integrated Quantum Optics, Paderborn University, Warburger Strasse 100, 33098 Paderborn, Germany

²Clarendon Laboratory, Department of Physics, University of Oxford, Parks Road OX1 3PU, United Kingdom

³Laboratoire Kastler Brossel, Sorbonne Université, CNRS, ENS-PSL Research University, Collège de France; 4 place Jussieu, F-75252 Paris, France

(Received 26 January 2018; published 23 May 2018)



Outline

Optical
modes

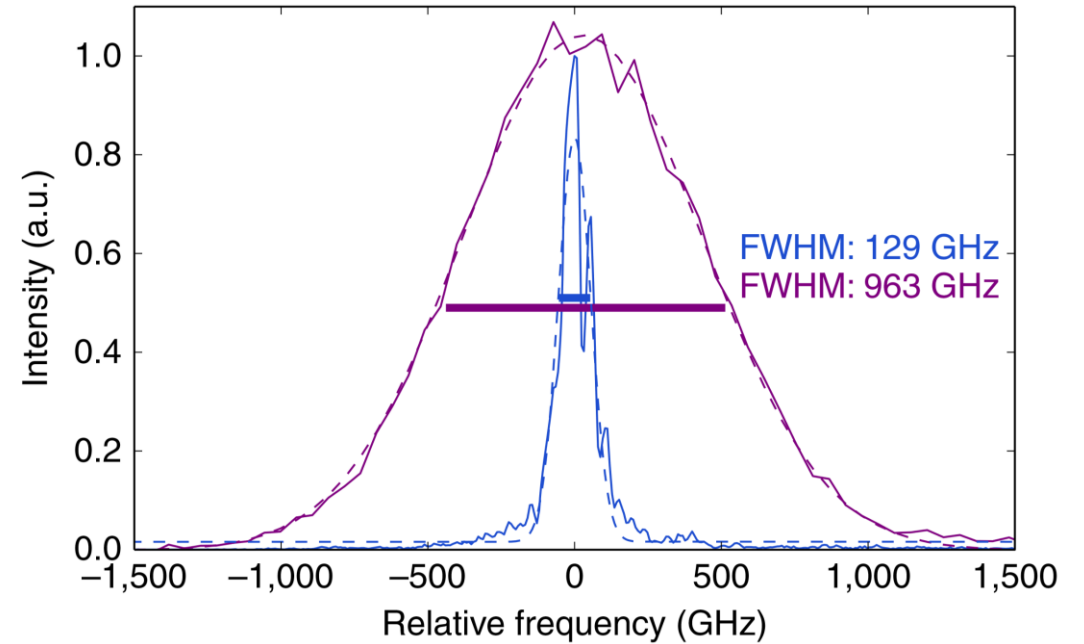
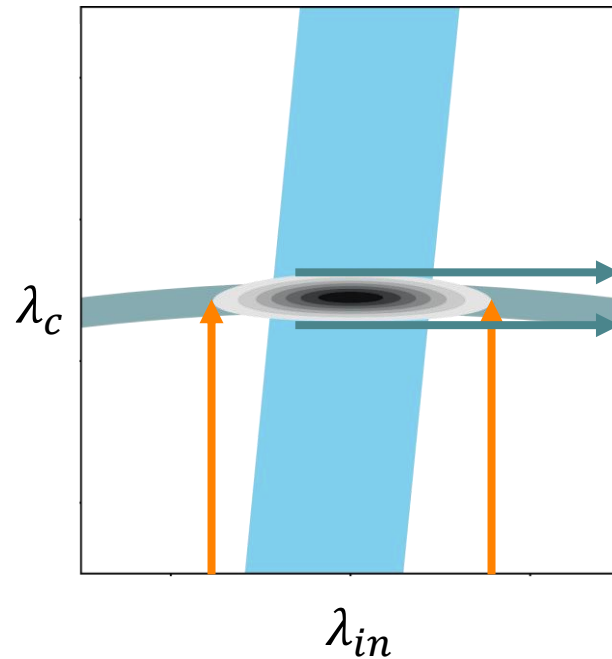
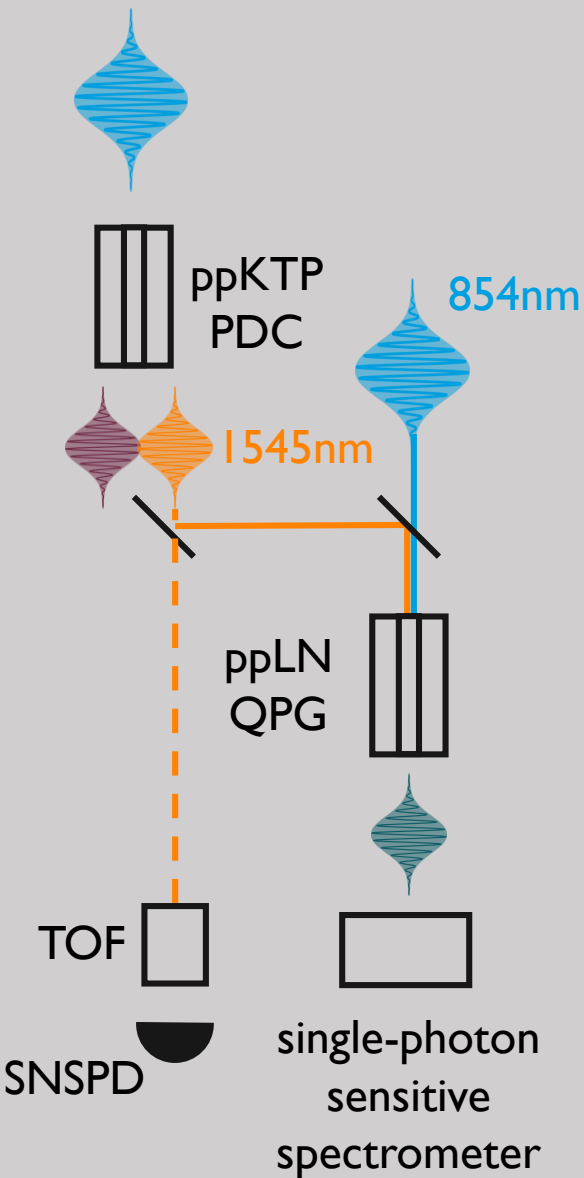
Parametric
down-conversion

Quantum
pulse gate

Applications



Time-frequency manipulations of single photons



$$g_h^{(2)} = 0.32 \pm 0.01 \text{ before and after conversion} \\ \rightarrow \text{no noise}$$

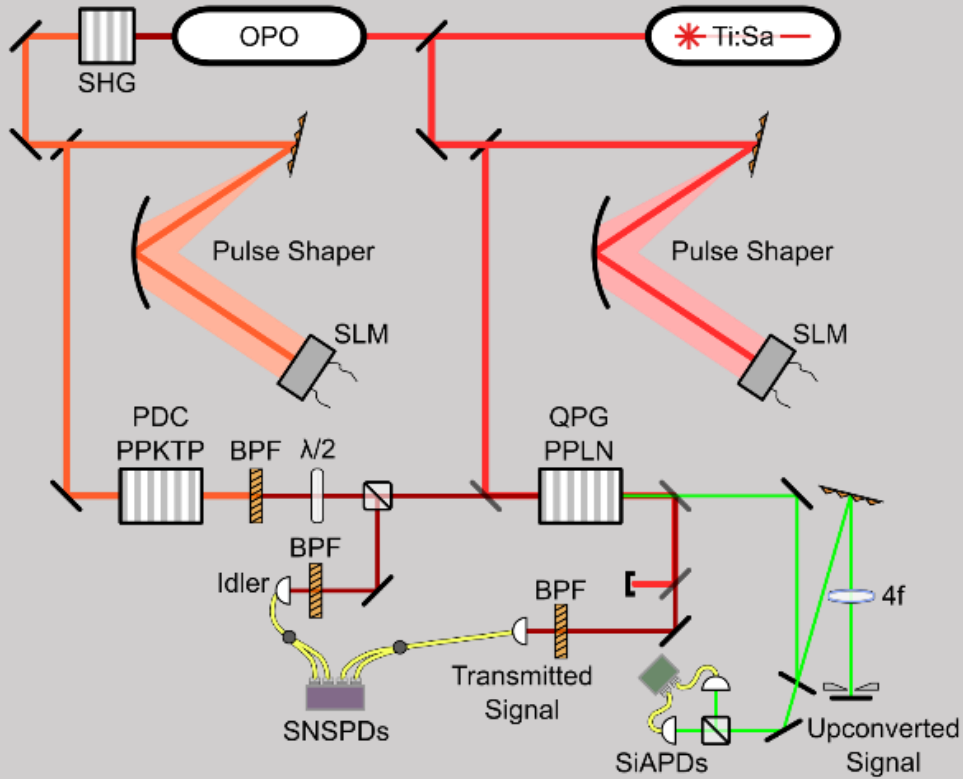
$$\frac{\Delta\omega_{in}}{\Delta\omega_c} = 7.47 \pm 0.01 \text{ limited by } \Delta\omega_{in}$$

$$\eta_{int} = 61.5\%$$

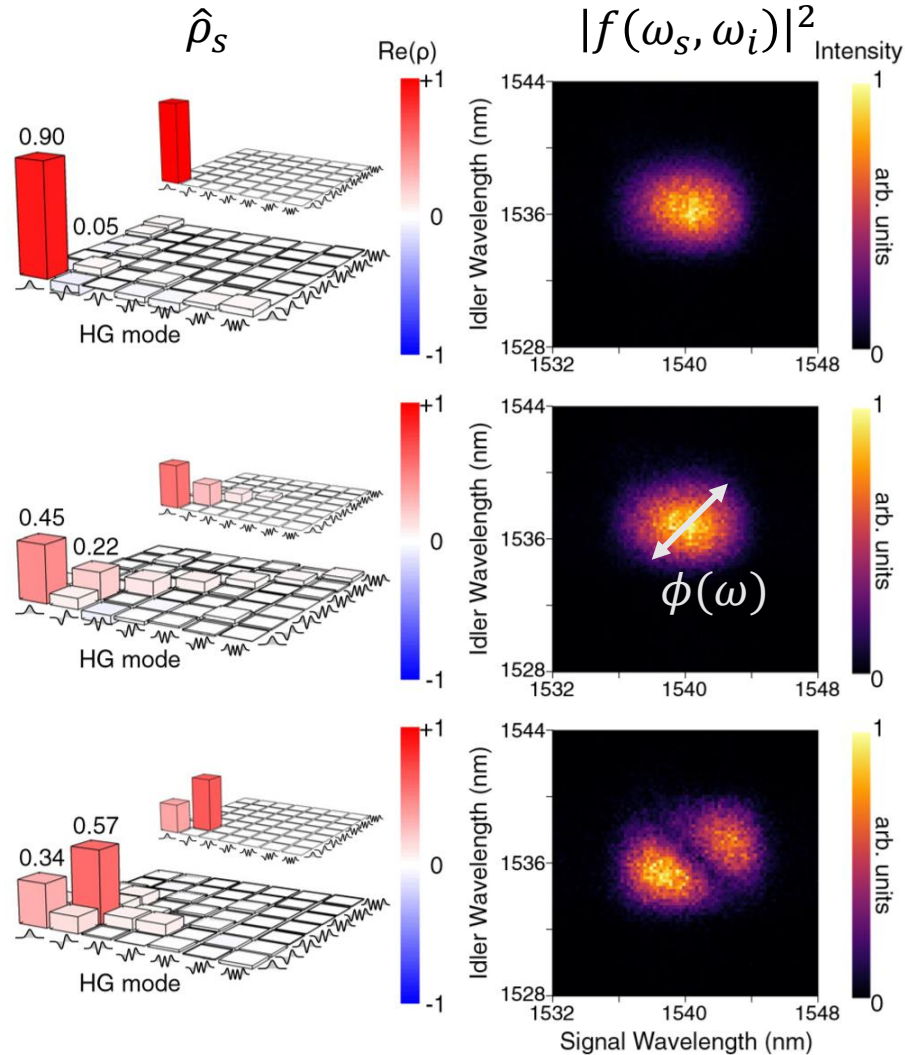
$$\eta_{ext} = 16.9\%$$

$$\eta_{Filter} = 13.4\%$$

Tomography of PDC photons



- signal at 1540nm
- pump at 876nm
- bandwidth compression ~ 10
- operated at low efficiency
- $g^{(2)}$ of converted light $> 1.9 \rightarrow$ **single mode**



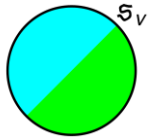
photon purity from

$\hat{\rho}_s$	$g^{(2)}$
89.6%	92.9%
31.7%	32.7%
53.1%	49.8%

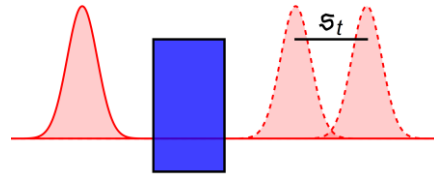
all errors $< 1\%$

Time-frequency metrology at the quantum limit

Frequency



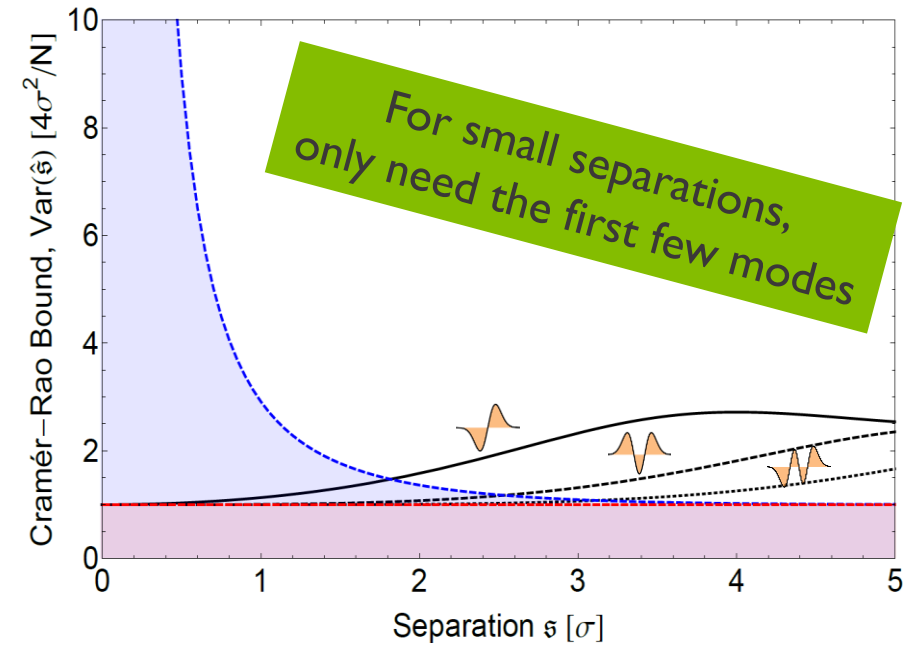
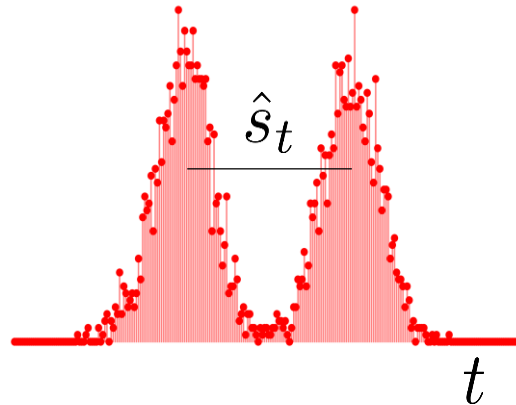
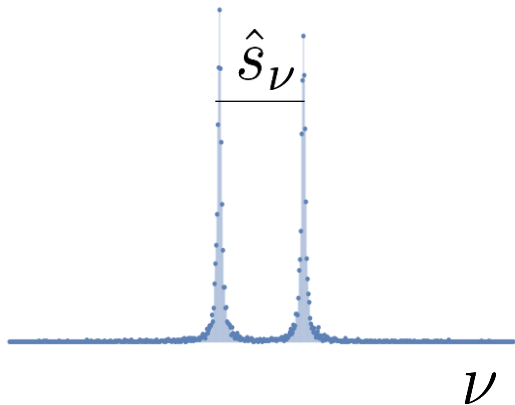
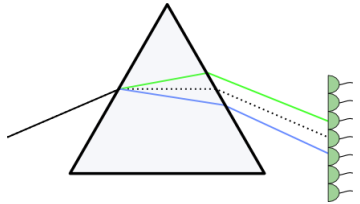
Time



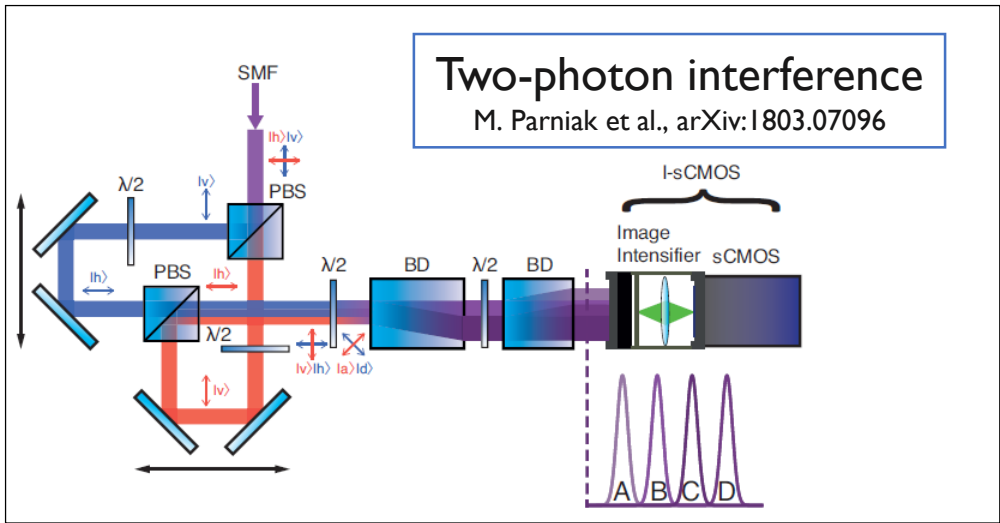
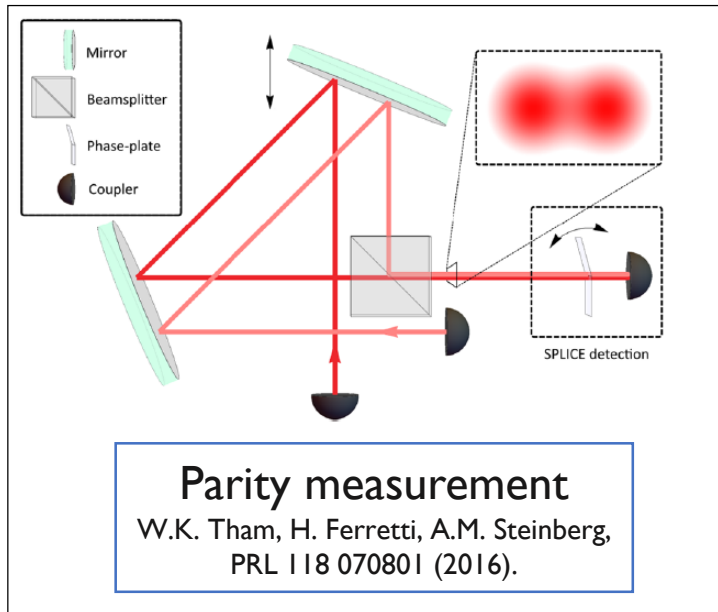
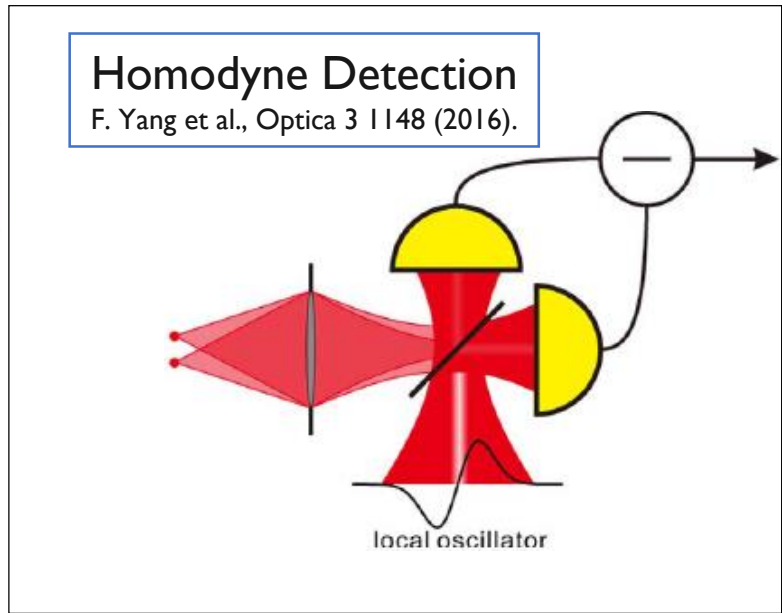
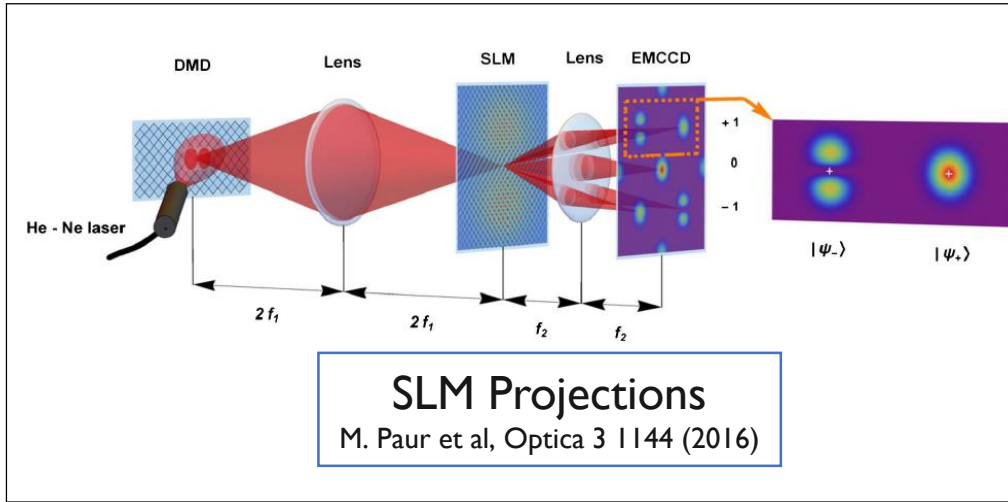
$$\text{Var}(\hat{s}) \geq \frac{1}{N \int dx \frac{1}{I(x,s)} \left(\frac{\partial I(x,s)}{\partial s} \right)^2} \geq \frac{1}{4N\sigma^2}$$

Intensity-Counting
Limit

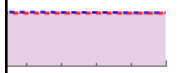
Quantum
Limit



Freq



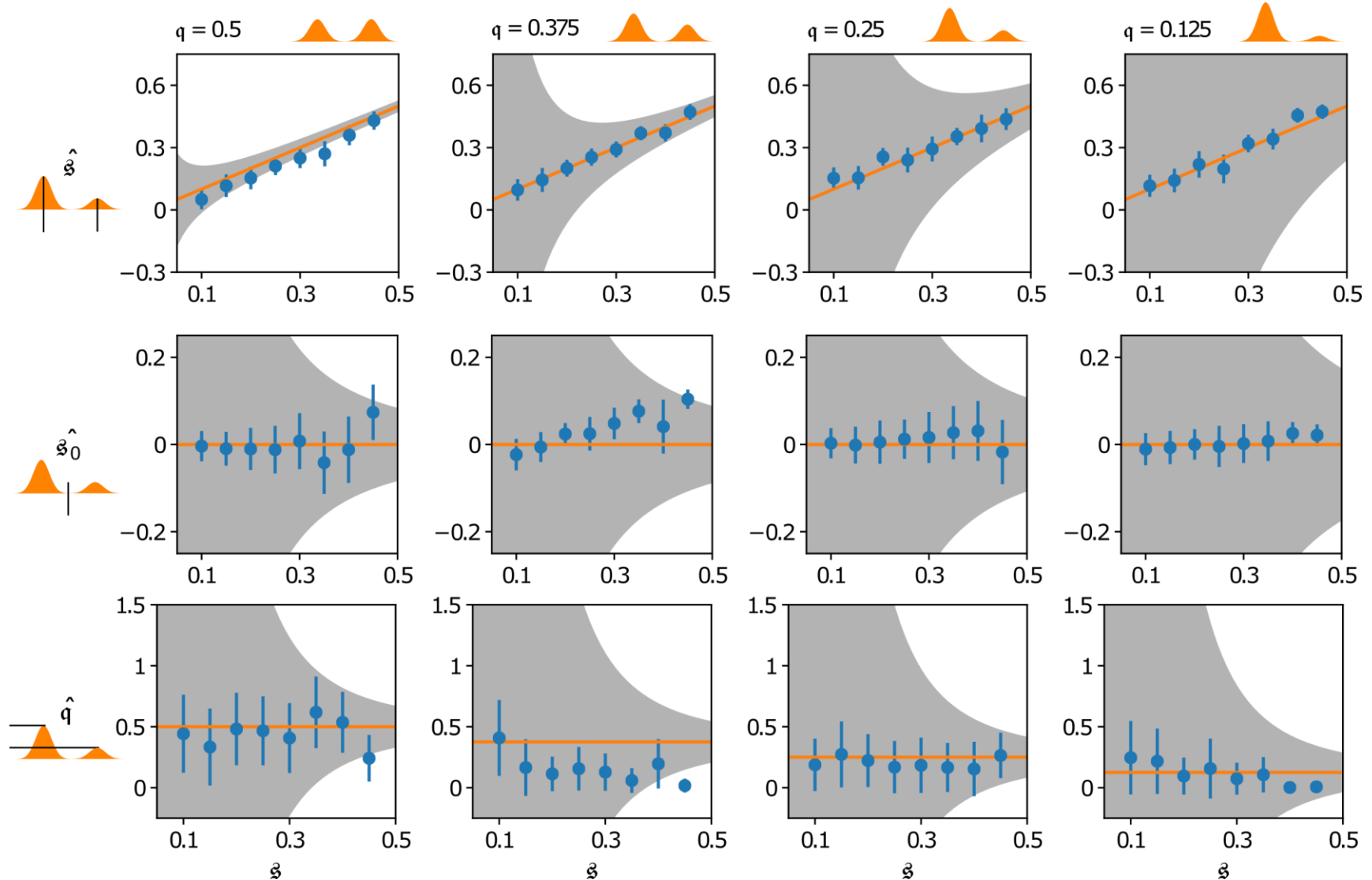
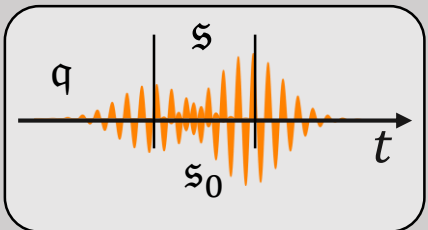
odes



Multi-parameter estimation



- $\lambda_p = 862\text{nm}$
- $E_p = 150\text{pJ}$
- $\lambda_{in} = 1540\text{nm}$
- $\sigma_{in} = 280\text{GHz}$
- $\tau_{in} = 250\text{fs}$
- $L = 35\text{mm}$
- $T = 193^\circ\text{C}$
- $\sigma_\phi = 17\text{GHz}$



in preparation



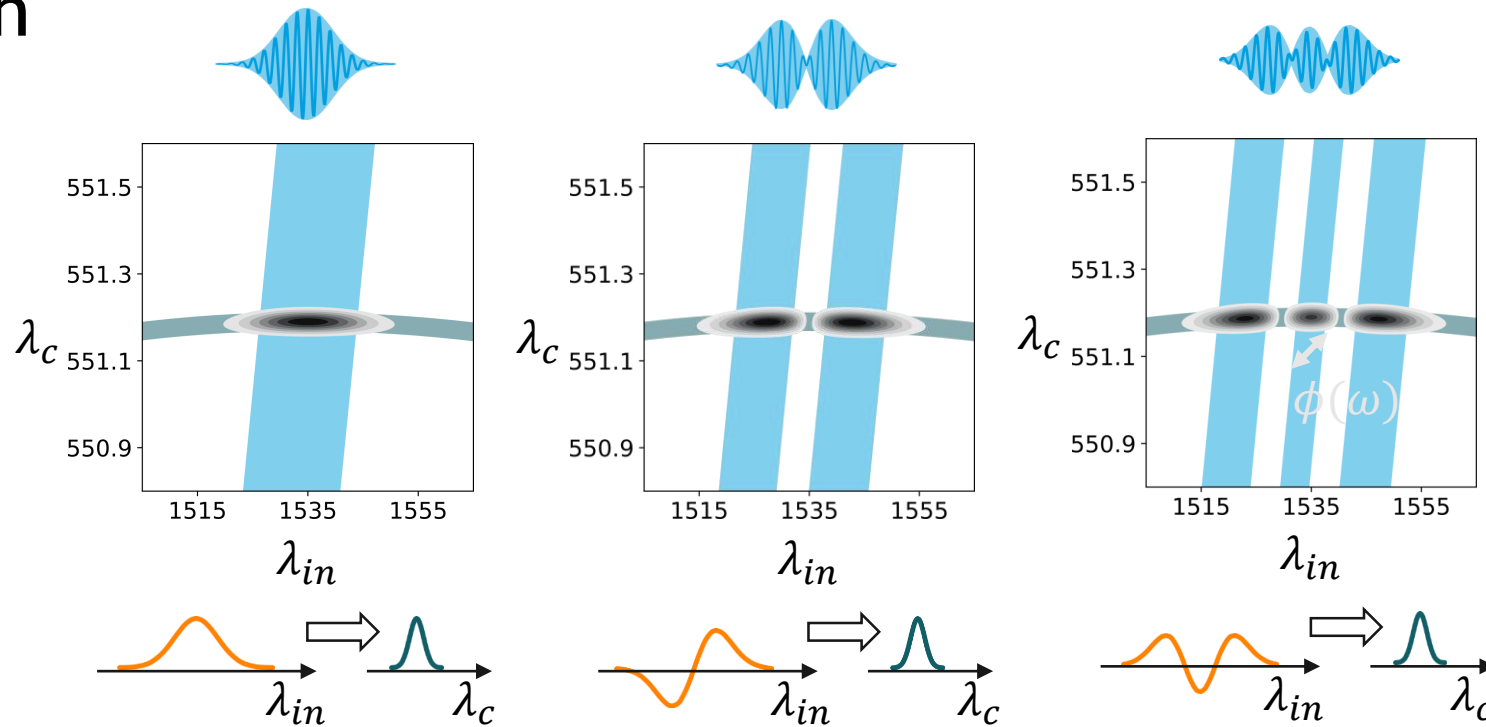
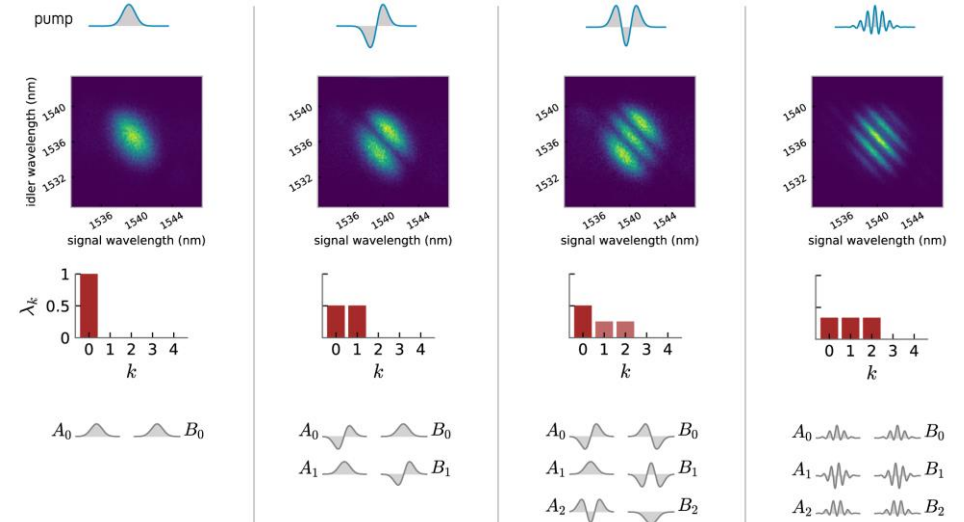
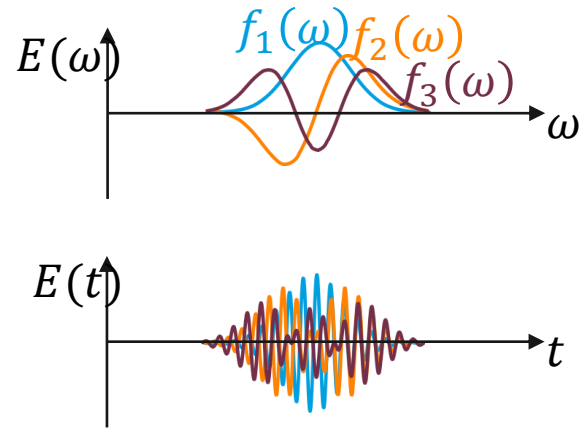
Summary

Optical modes

Parametric down-conversion

Quantum pulse gate

Applications



Thank you for your attention

Quantum Networks

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*We have open
positions
(and candy...)*

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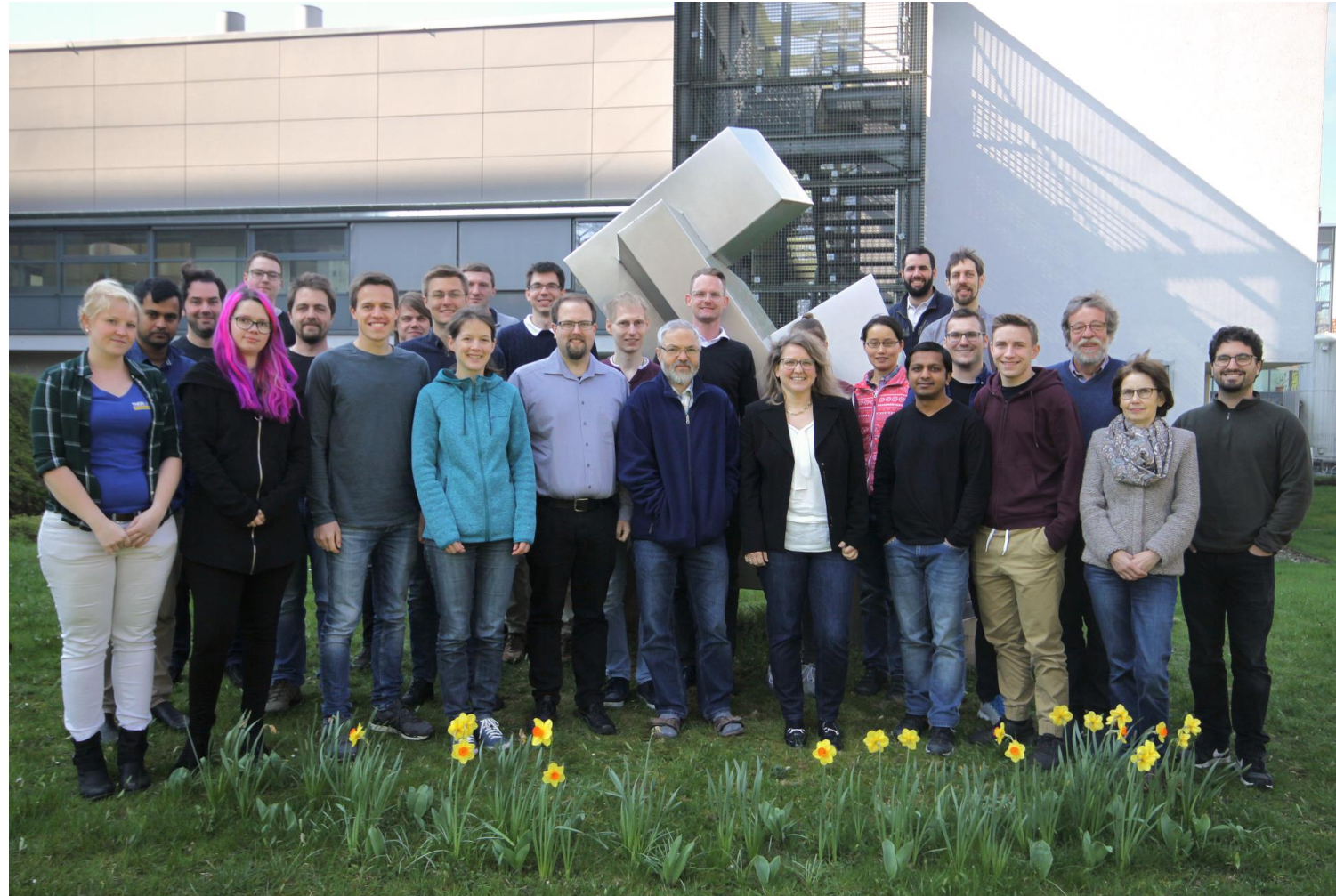
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