

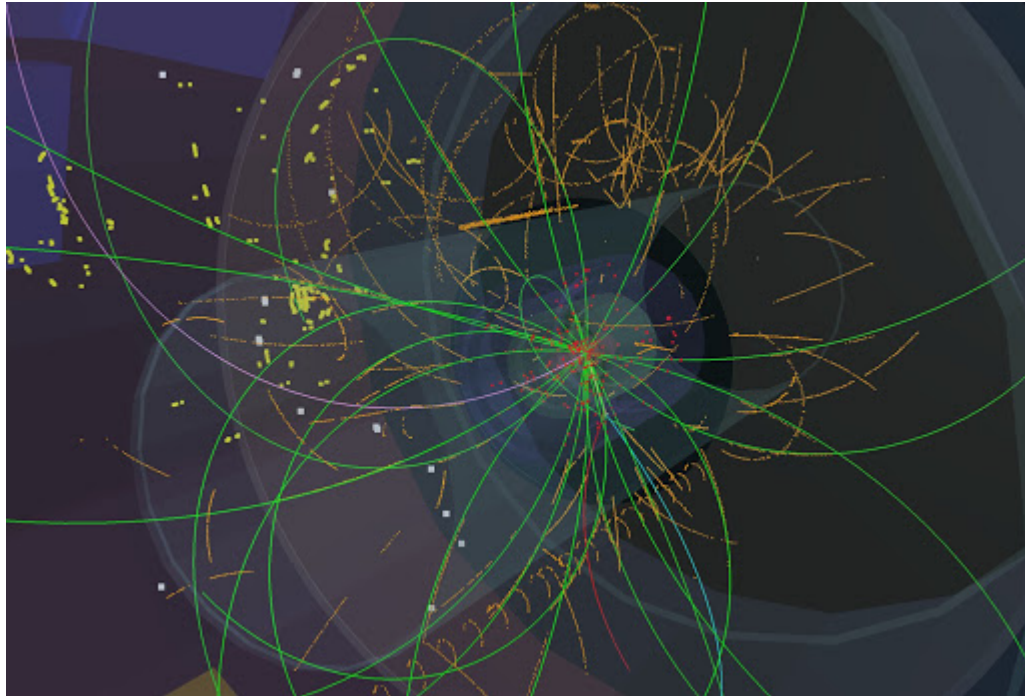
A case study on a Single Photon Detector System based on MPGD

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- Introduction
- The need of Particle Identification (PID) in physics
 - Methods of particle identification
- The Cherenkov phenomenon
 - An introduction to its characteristics
- Detecting single photons via gaseous based detector
 - From MWPC to MPGD single photon detectors
- The COMPASS MPGD single photon counter
 - The R&D
 - Its realization, installation
 - A look to the future

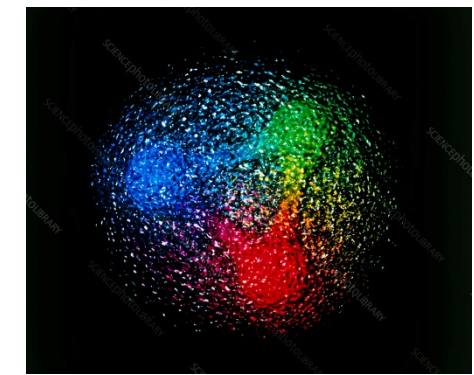
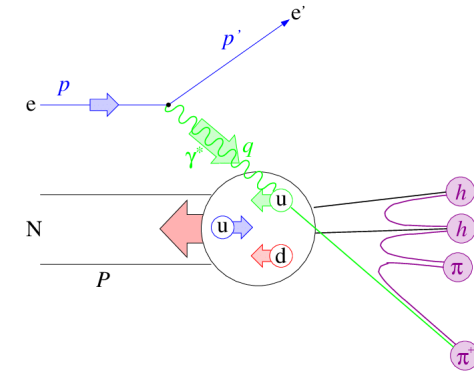
Particle Identification (PID) is a crucial aspect of most High Energy Physics (HEP) experiments

In a typical experiment beams collide within the detectors or a single beam collides with a fixed target. Physicists wish to reconstruct as fully as possible the resulting events, in which many particles emerge from the interaction point



Standard Model of Elementary Particles

	three generations of matter (fermions)			interactions / force carriers (bosons)	
	I	II	III		
mass	$\approx 2.2 \text{ MeV}/c^2$	$\approx 1.28 \text{ GeV}/c^2$	$\approx 173.1 \text{ GeV}/c^2$	0	$\approx 124.97 \text{ GeV}/c^2$
charge	$\frac{2}{3}$	$\frac{2}{3}$	$\frac{2}{3}$	0	0
spin	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1	0
QUARKS	u up	c charm	t top	g gluon	H higgs
	$\approx 4.7 \text{ MeV}/c^2$	$\approx 96 \text{ MeV}/c^2$	$\approx 4.18 \text{ GeV}/c^2$	0	
	$-\frac{1}{3}$	$-\frac{1}{3}$	$-\frac{1}{3}$	0	
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1	
	d down	s strange	b bottom	γ photon	
LEPTONS	$\approx 0.511 \text{ MeV}/c^2$	$\approx 105.66 \text{ MeV}/c^2$	$\approx 1.7768 \text{ GeV}/c^2$	$\approx 91.19 \text{ GeV}/c^2$	
	-1	-1	-1	0	
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1	
	e electron	μ muon	τ tau	Z Z boson	
	$< 1.0 \text{ eV}/c^2$	$< 0.17 \text{ MeV}/c^2$	$< 18.2 \text{ MeV}/c^2$	$\approx 80.39 \text{ GeV}/c^2$	
	0	0	0	± 1	
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1	
	ν_e electron neutrino	ν_μ muon neutrino	ν_τ tau neutrino	W W boson	



→ an important task for all detectors in particle physics

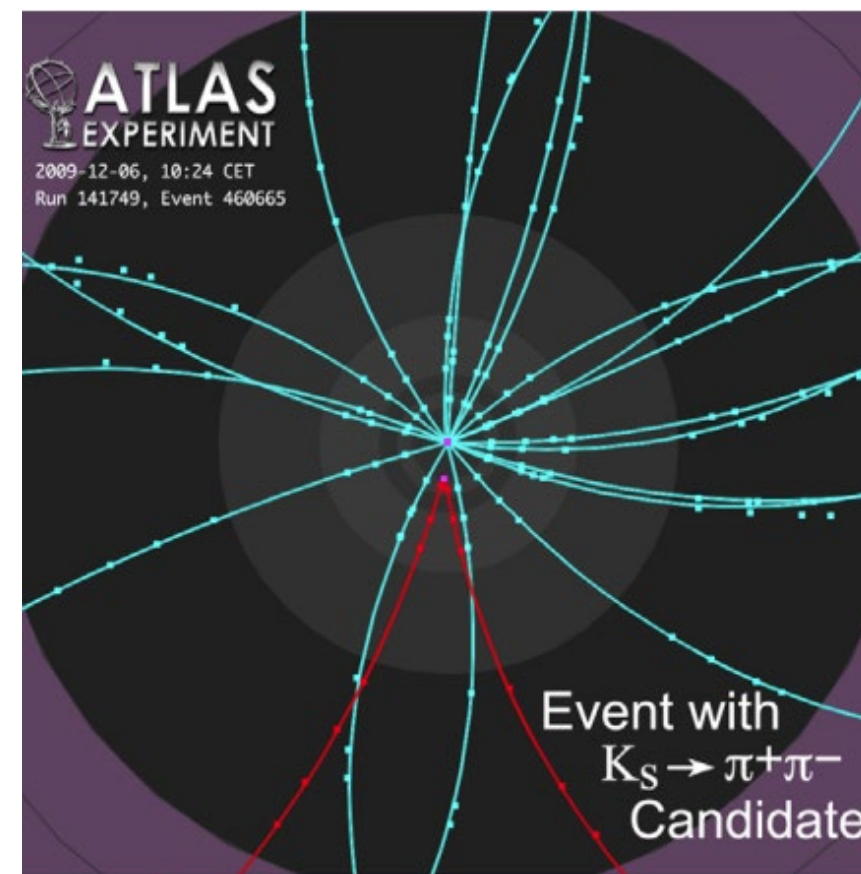
To identify long-lived (but still weakly decaying) neutral particles like the hyperons Λ_0 and Ξ_0 , short-lived particles (τ , charm, beauty, resonances) the determination of the 4-vector (energy and momentum) of all decay products is necessary to be able to calculate the invariant mass of the final state and identify the original particle.

PID reduces to identify all (nearly) stable particles: p , n , K^\pm , K_L^0 , π^\pm , e^\pm , μ^\pm , γ

Particle	m [MeV]	Quarks	Main decay	Lifetime	$c\tau$ [cm]
π	140	$u\bar{d}$	$\mu\nu_\mu$	2.6×10^{-8} s	780
K	494	$u\bar{s}$	$\mu\nu_\mu, \pi\pi^0$	1.2×10^{-8} s	370
K_S^0	498	$d\bar{s}$	$\pi\pi$	0.9×10^{-10} s	2.7
K_L^0	498	$d\bar{s}$	$\pi\pi\pi, \pi l\nu$	5×10^{-8} s	1550
p	938	uud	stable	$> 10^{25}$ years	∞
n	940	udd	$p e \nu_e$	890 s	2.7×10^{13}
Λ	1116	uds	$p\pi$	2.6×10^{-10} s	7.9

Example of $K_S^0 \rightarrow \pi^- + \pi^+$

Not a “stable particle” but it decays in nearly stable ones



Particle identification techniques are based on the interaction of particles with the matter. The applicable methods depend on the range of momenta of the particle to identify

- Based on the specific features of particle interactions, examples
 - High energy muons, penetration
 - Intermediate energy muons, range
 - e.m. particles vs hadrons: calorimetry (shower development)

- Measurement of the particle mass m
combining the measurement of p (deflection in magnetic field) and the measurement of E
 - $E^2 = (mc^2)^2 + (pc)^2$ (4 vector)

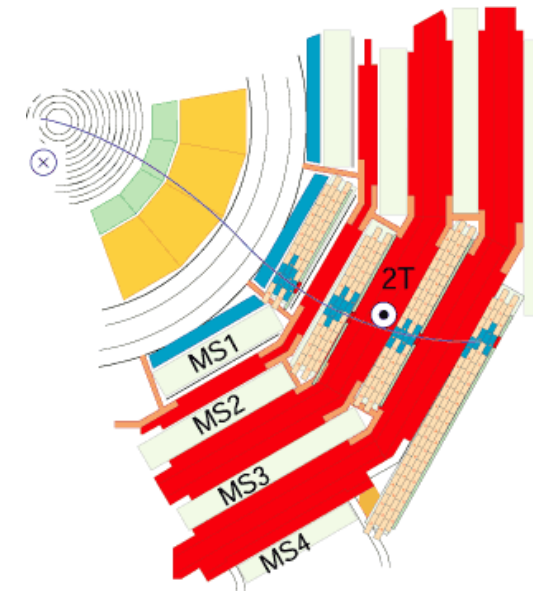
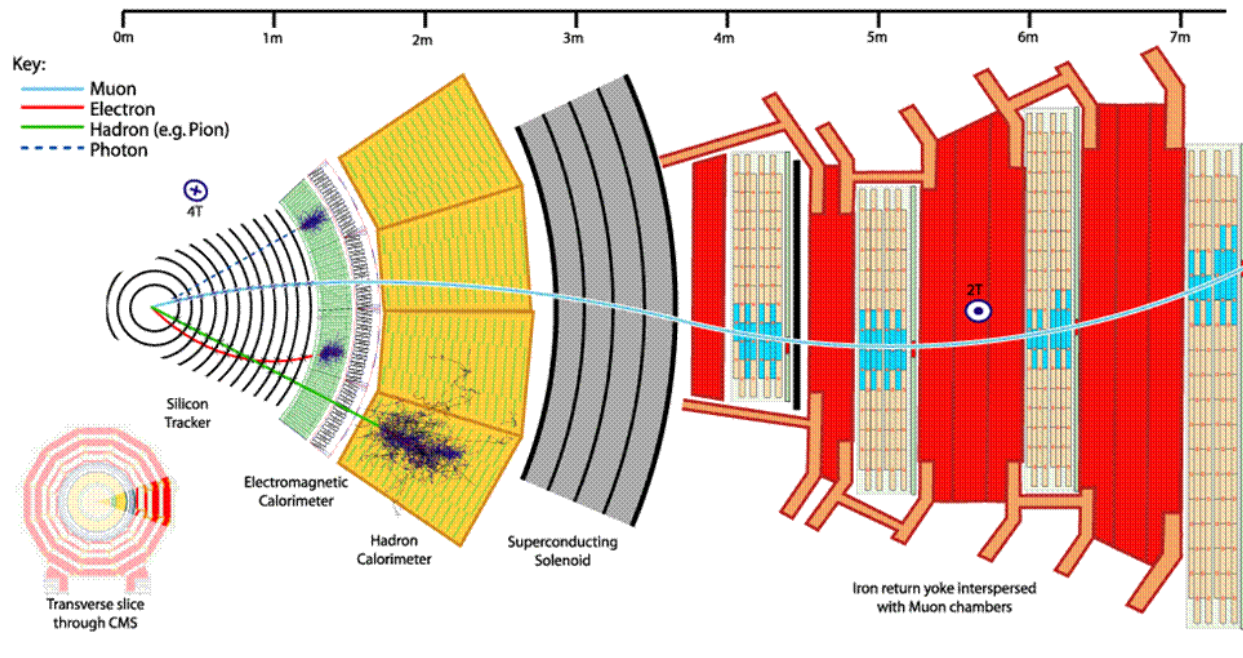
- Time of flight techniques
 - Measurements of the time between taken by a particle to travel between two different detectors at distance L

Muons act like heavier versions of the electron, with mass 105.7 MeV
They decay to electrons $\mu^- \rightarrow e^- (\text{anti})\nu_e \nu_\mu$ with (proper) lifetime $\tau_\mu = 2.2 \mu\text{s}$

Distance they travel (on average) before decay: $d = \beta\gamma c\tau_\mu$
where velocity $\beta = v/c$ boost $\gamma = E/m = 1/\sqrt{1-\beta^2}$

So a 10 GeV muon flies $\sim 60 \text{ km}$ before decay \gg detector size \rightarrow effectively stable

Since mass is large, Bremsstrahlung radiation is small, and as a lepton it does not feel the strong interaction



Simple concept: measure the time difference between two detector planes $\beta = d/c\Delta t$

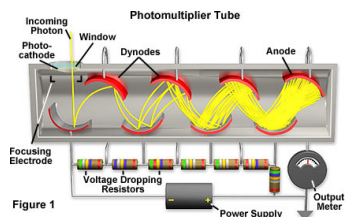
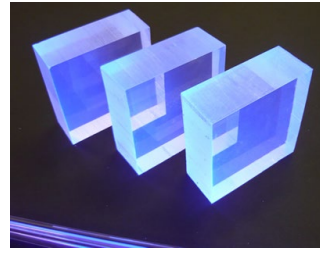
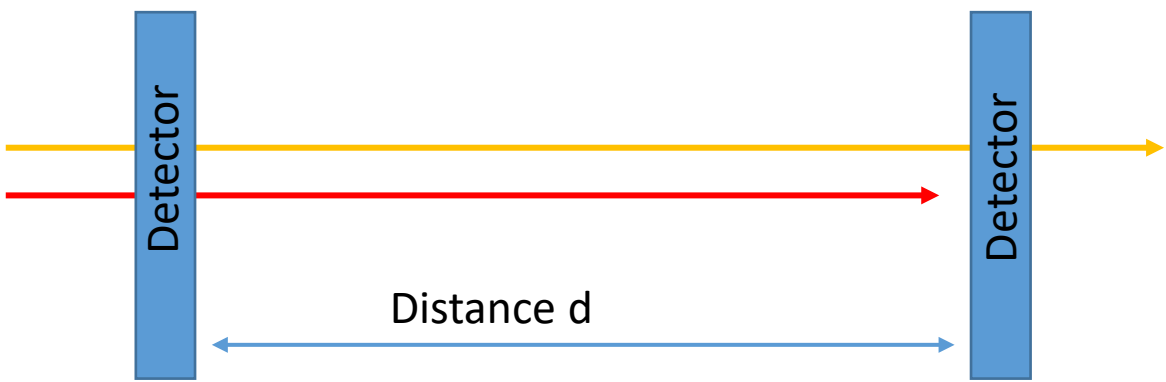
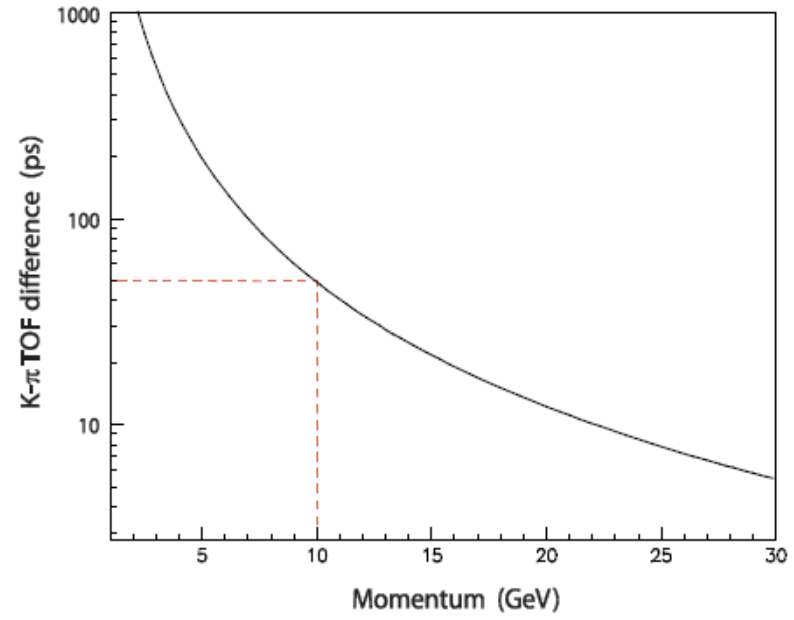


Figure 1

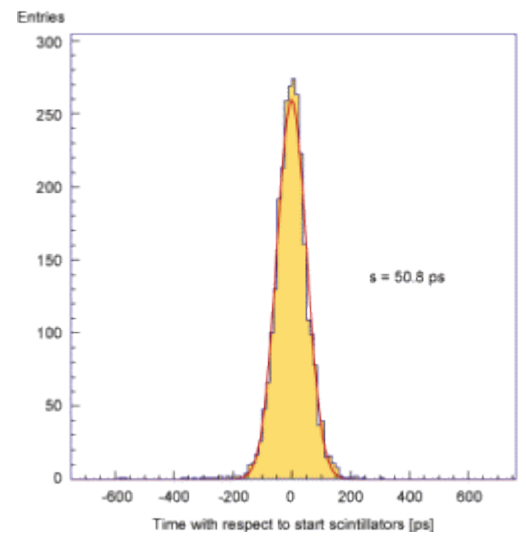
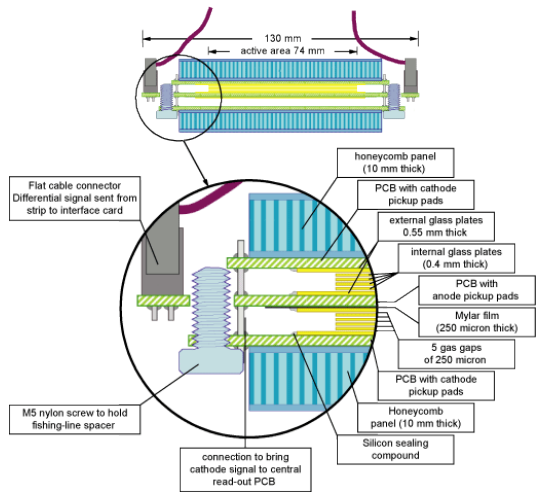
TOF difference for $d = 12$ m



At high energy, particle speeds are relativistic, closely approaching to c
 For a 10 GeV K, the time to travel 12 m is 40.05 ns, whereas for a π it would be 40.00 ns, so the difference is only 50 ps

Modern detectors + readout electronics have resolution $\sigma_t \sim 1$ ns, but need $\sigma_t < 1$ ns to do useful TOF
 TOF gives good ID at low momentum, very precise timing is required for $p > 5$ GeV

Can not rely on this method at large momenta
Any other method exploiting the measurement of β



Named after the Russian scientist P. Cherenkov who was the first to study the effect in depth (he won the Nobel Prize for it in 1958)

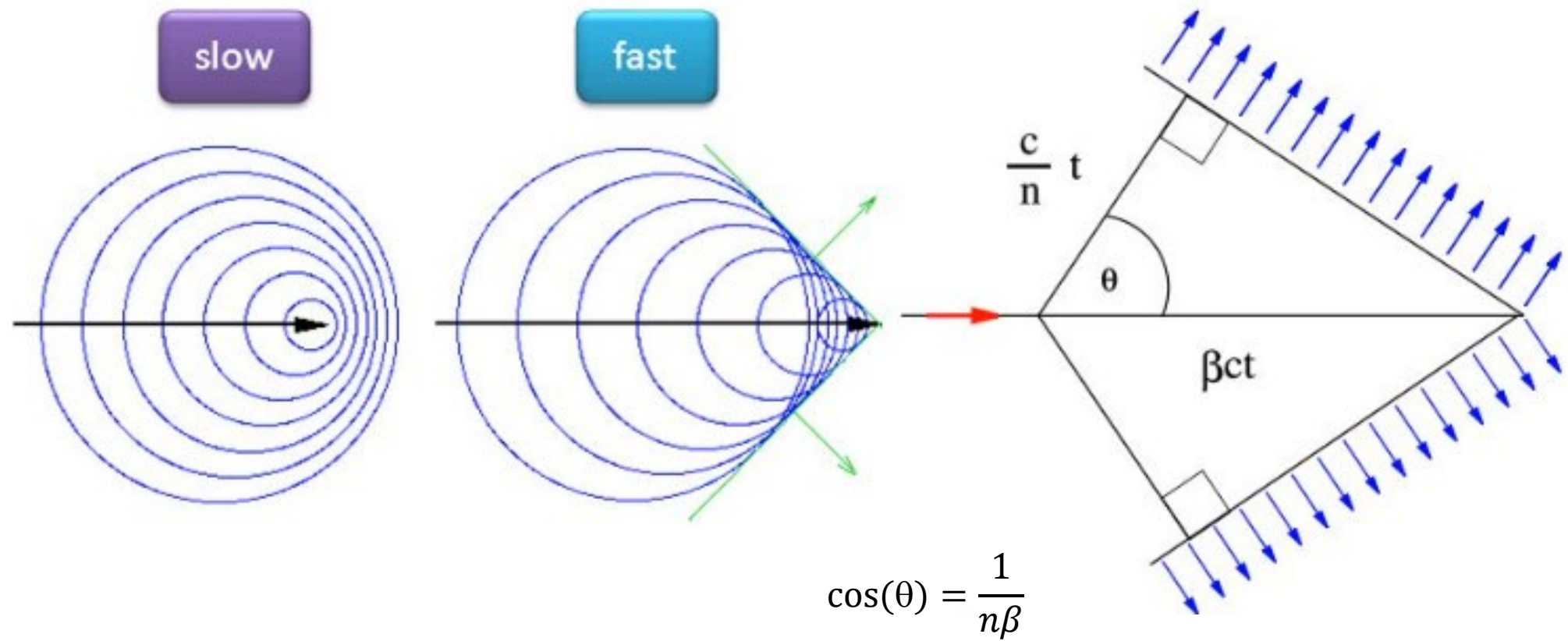
From Relativity, nothing can go faster than the speed of light c (in vacuum)

However, due to the refractive index n of a material, a particle can go faster than the local speed of light in the medium $c_p = c/n$ (For example, the speed of the propagation of light in water is only $0.75c$)

This is analogous to the bow wave of a boat travelling over water or the sonic boom of an airplane travelling faster than the speed of sound

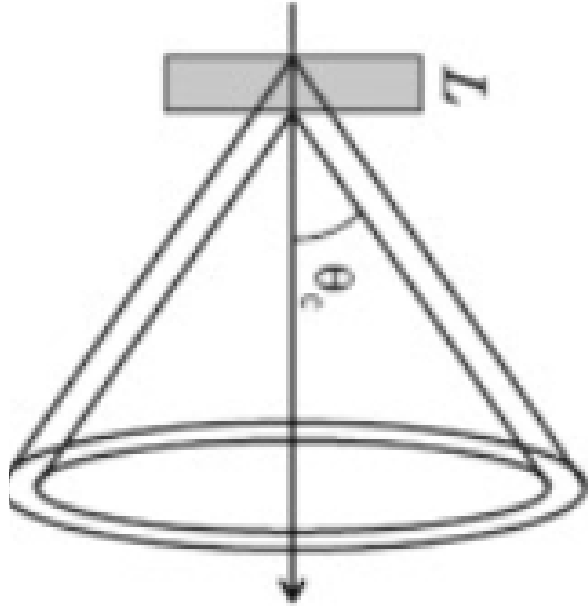
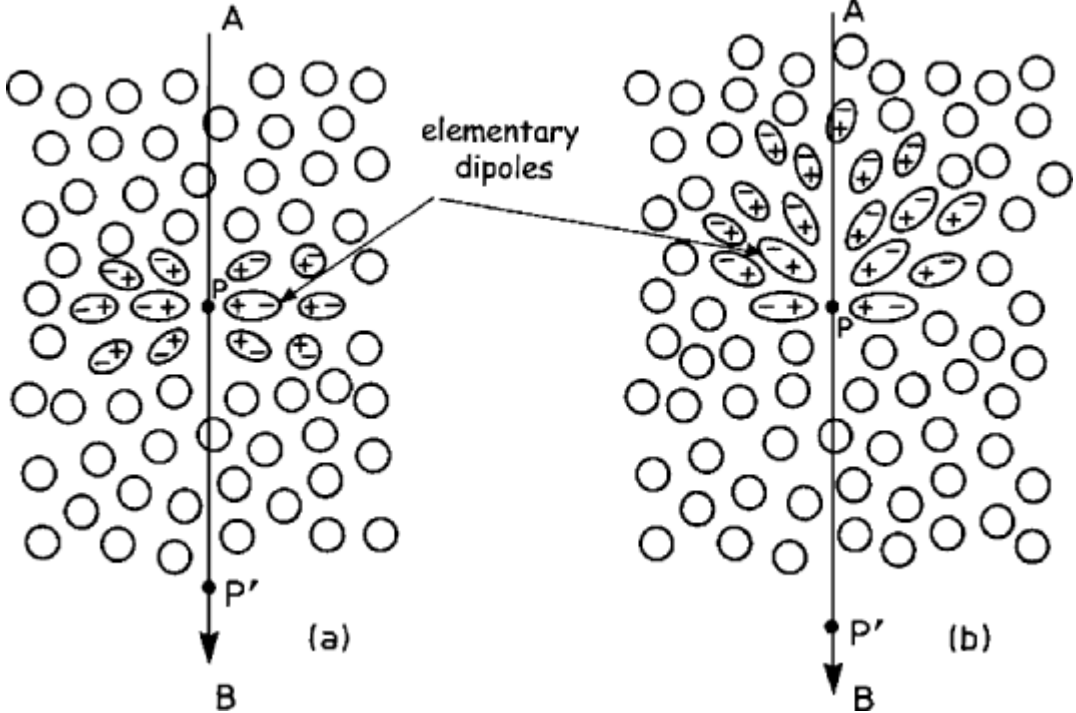


Propagating waves



Where blue arrows are photons and $\beta = \frac{v}{c}$ $v_{th} \geq \frac{c}{n} \Rightarrow \beta_{th} \geq \frac{1}{n}$ **Threshold effect!**

phase velocity of the light in the medium : c/n



$\beta_{part} \cdot c <$ phase velocity of the light in the medium symmetric configuration
 → Destructive interference

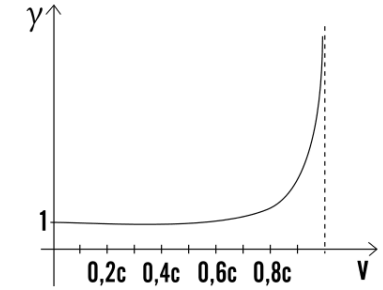
$\beta_{part} \cdot c >$ phase velocity of the light in the medium
 No longer a Symmetric configuration → a coherent interference front is created

Light is emitted symmetrically around the direction of the particle → cone of light

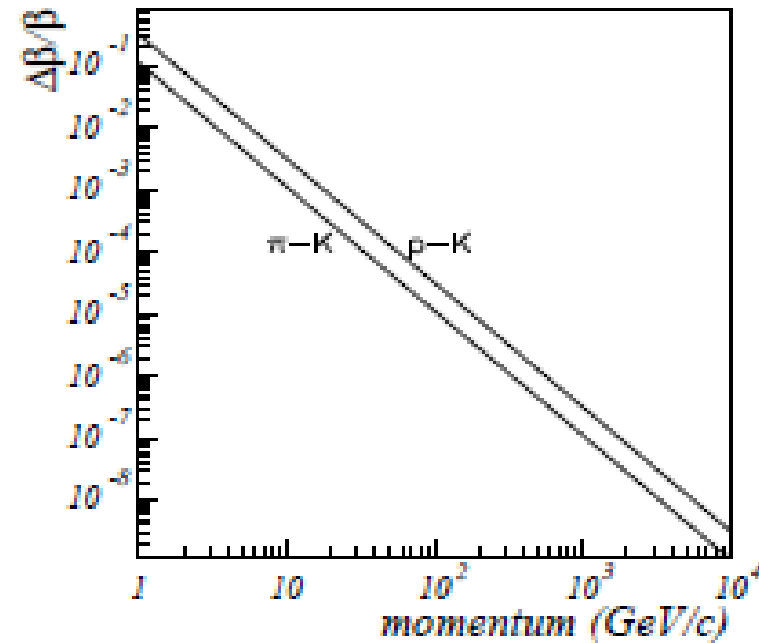
Assuming p is measured with fine resolution, the resolution on $m \frac{\Delta m}{m}$ becomes a specific request concerning the resolution of the β measurement: $p = m_0 \gamma \beta c$

Resolution:
$$\left(\frac{dm}{m}\right)^2 = \left(\gamma^2 \frac{d\beta}{\beta}\right)^2 + \left(\frac{dp}{p}\right)^2$$

$$\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$$



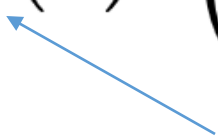
$$\frac{\Delta\beta}{\beta} \simeq \frac{m_1^2 - m_2^2}{2p^2}$$



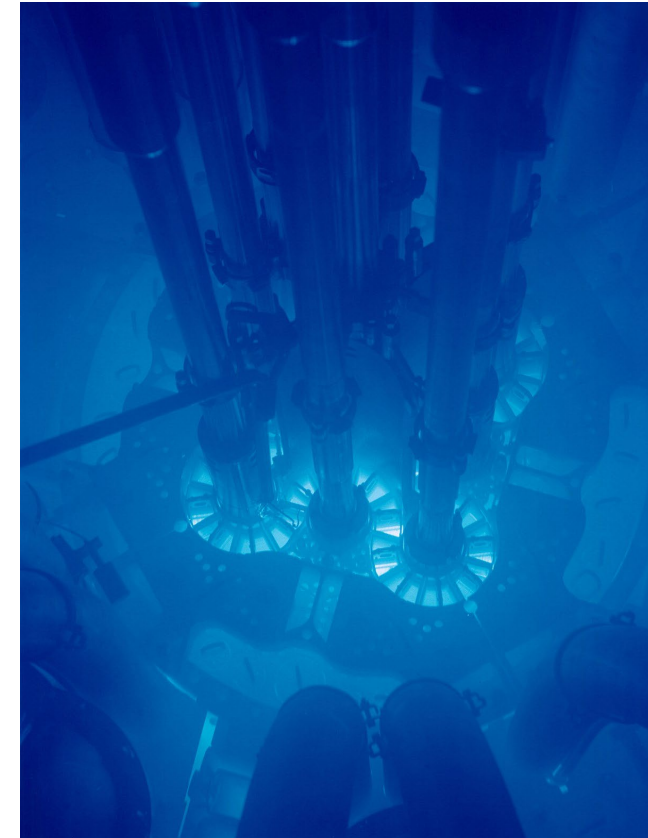
The Frank–Tamm formula yields the amount of Cherenkov radiation emitted on a given frequency as a charged particle moves through a medium at superluminal velocity. It is named for Russian physicists Ilya Frank and Igor Tamm who developed the theory of the Cherenkov effect in 1937, for which they were awarded a Nobel Prize in Physics in 1958.

The energy dE emitted per unit length travelled by the particle per unit of frequency $d\omega$ is:

$$\frac{d^2 E}{dx d\omega} = \frac{q^2}{4\pi} \mu(\omega) \omega \left(1 - \frac{c^2}{v^2 n^2(\omega)} \right)$$


 Permeability of medium

Cherenkov radiation does not have characteristic spectral peak. The relative intensity of one frequency is approximately proportional to the frequency. That is, higher frequencies (shorter wavelengths) are more intense in Cherenkov radiation → Vacuum ultraviolet domain



Fixing the radiator length L:

$$\frac{dW}{d\omega} = \frac{LZ^2e^2\omega}{c^2} \left(1 - \frac{1}{\beta^2n^2(\omega)}\right)$$

Integrating the spectrum:

$$\frac{\Delta N}{\Delta E} = \left(\frac{\alpha}{\hbar c}\right) Z^2 L \sin^2\theta = \left(\frac{\alpha}{\hbar c}\right) Z^2 L \left[1 - \left(1 - \frac{n}{\beta}\right)^2\right],$$

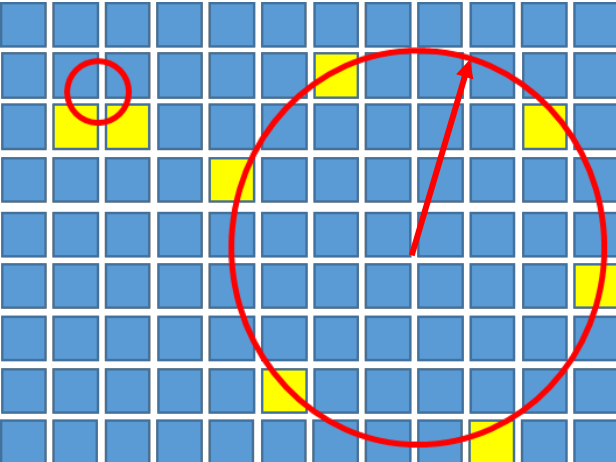
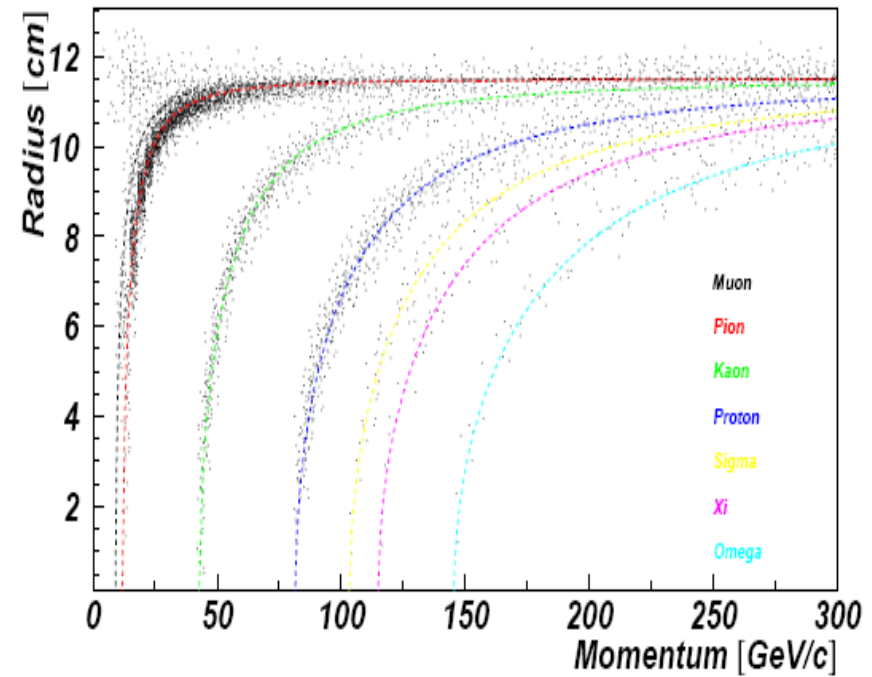
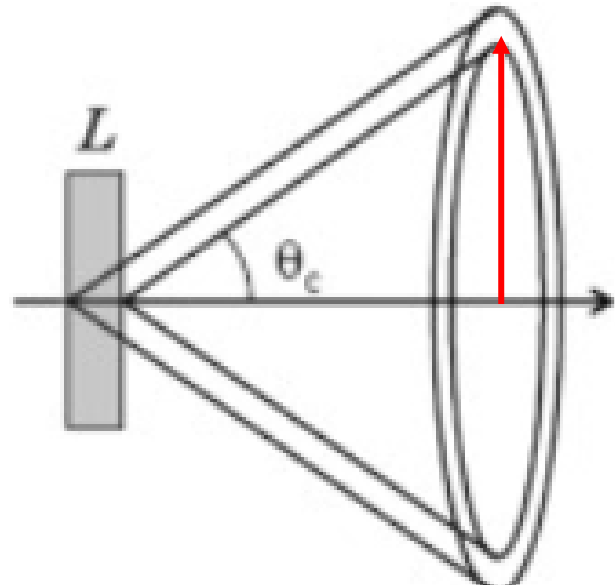
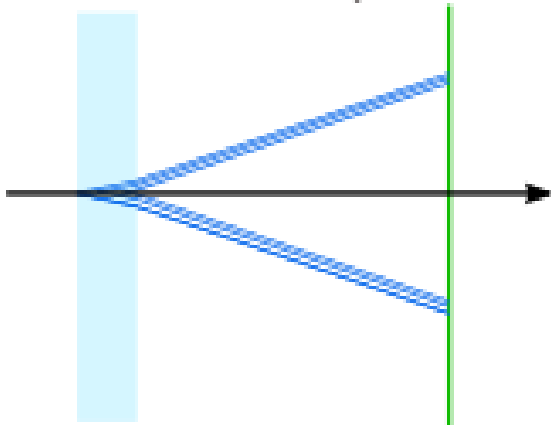
When $\beta = 1$, $L = 1$ and $\Delta E = 1$:

$$N(\text{cm}^{-1}\text{eV}^{-1}) = 370Z^2 \left(1 - \frac{1}{n^2}\right)$$

$$N_0 = \frac{1}{137\hbar c} \int_{E_1}^{E_2} \varepsilon_D(E)\varepsilon_R(E)\varepsilon_T(E)dE.$$

$$N \approx 1 - 1/(\beta n)^2 = \sin^2\theta_C$$

N is a mean value: poisson statistics \rightarrow ν from a direct measurement of θ_C , not from N !!!, Apart when $Z^2 \neq 1$



Measure the radius

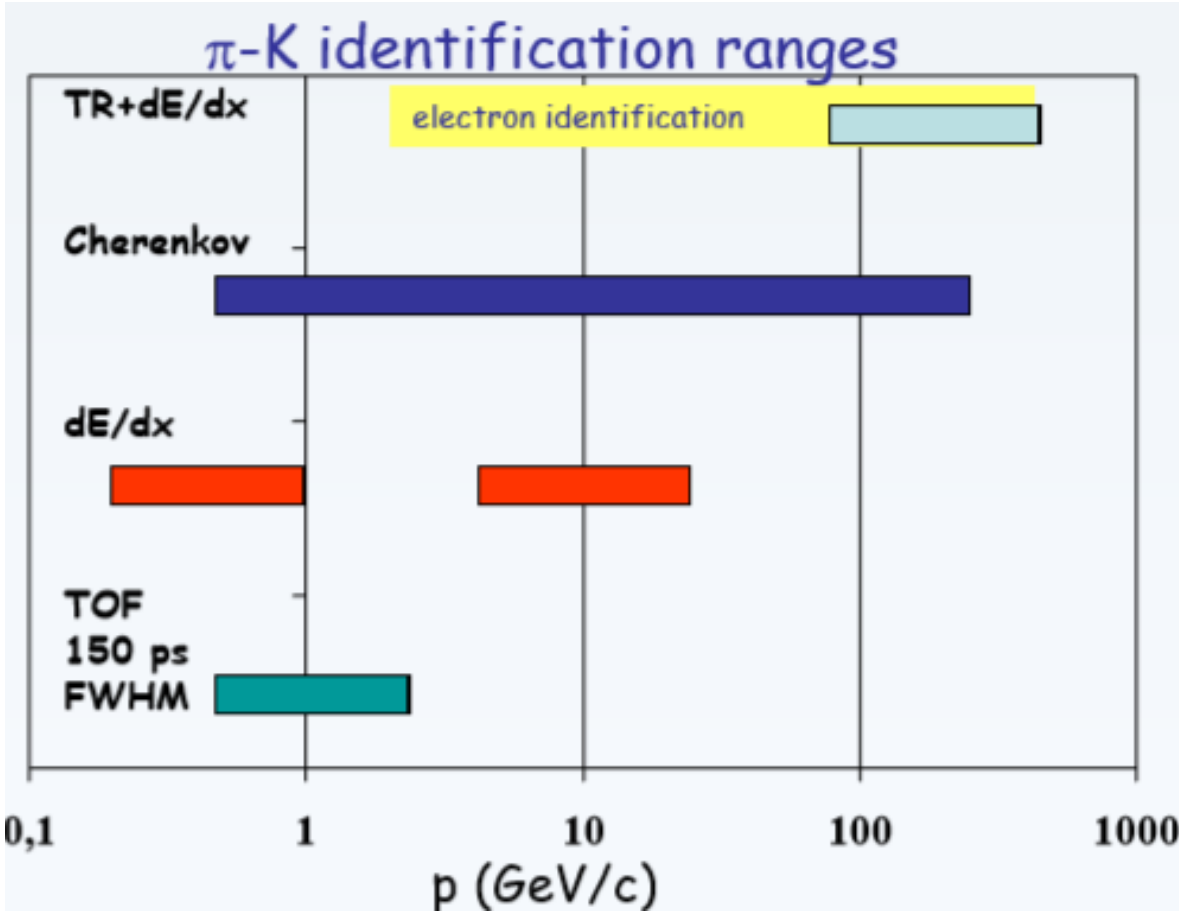
$$\cos(\theta) = \frac{1}{n\beta}$$

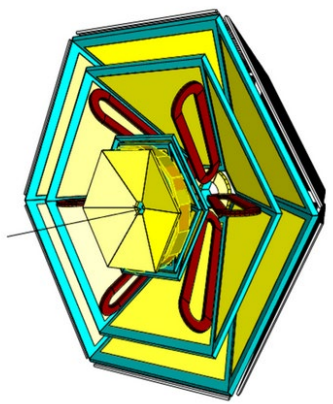
$$\theta_{MAX} = \cos^{-1} \frac{1}{n}$$

$$\sigma_{\theta_{Cherenkov}} = \frac{\sigma_{\theta_{photon}}}{\sqrt{N}}$$

The refractive index defines the threshold at which the particle can be identified, the angle at saturation, the maximum radius and the resolution needed

Particle identification techniques are based on the interaction of particles with the matter. The applicable methods depend on the range of momenta of the particle to identify



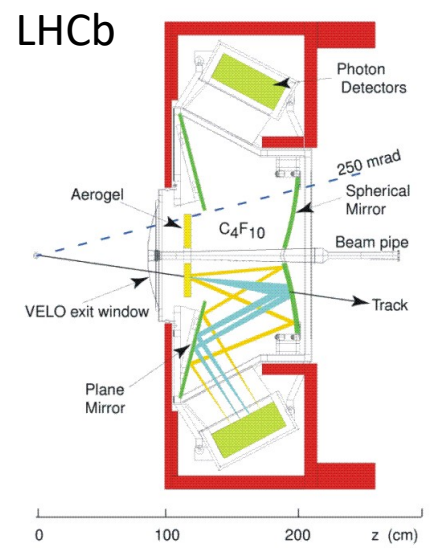


HADES at GSI,



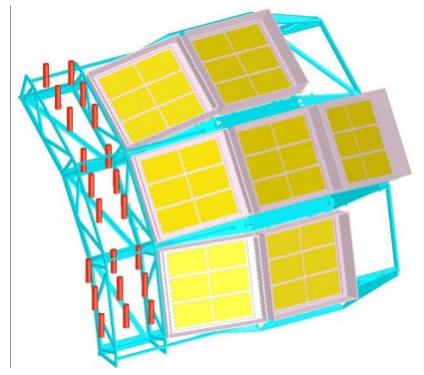
AMS RICH

Cherenkov imaging techniques (RICH counters)

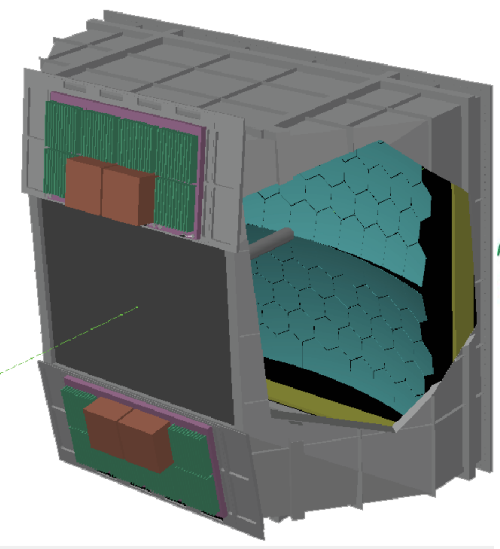


LHCb

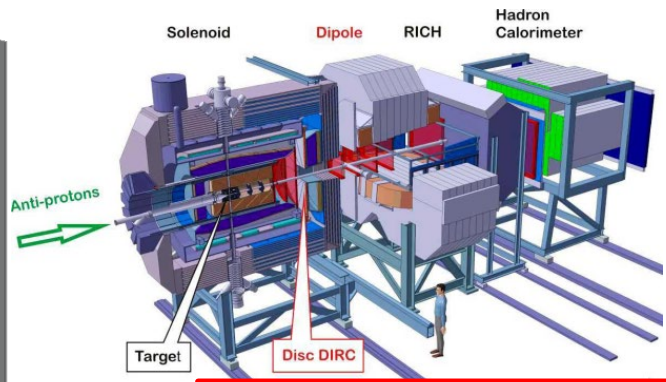
ALICE HMPID



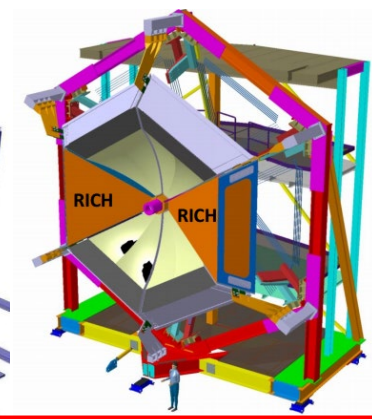
COMPASS at SPS



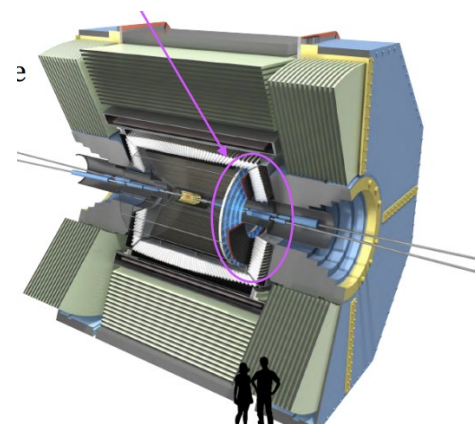
DIRC at PANDA GSI



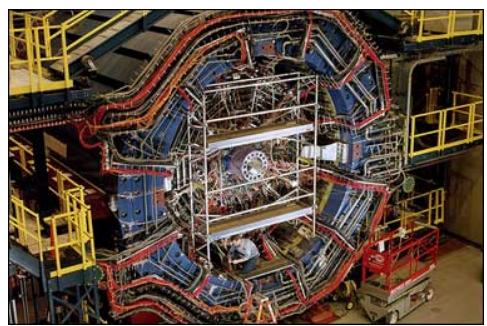
CLAS-12 JLAB



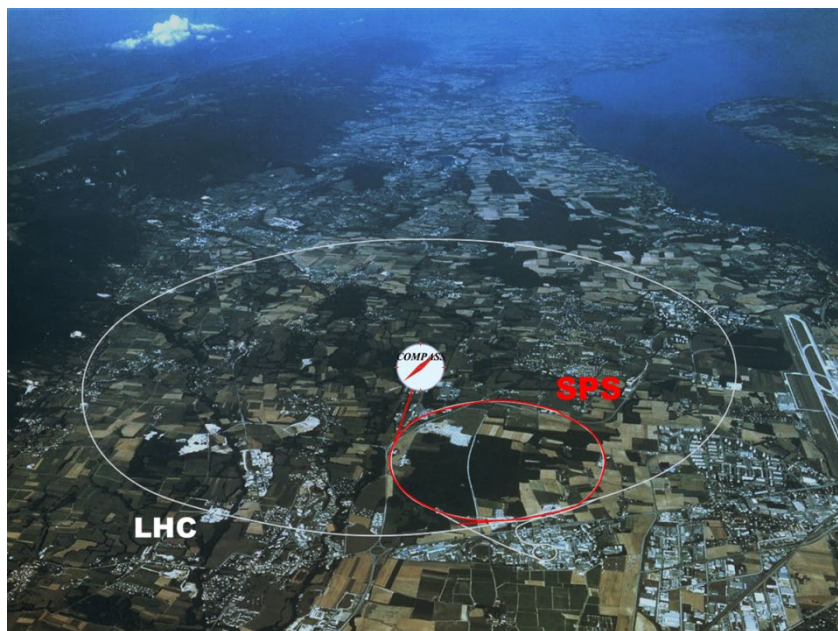
BELLE 2 KEK



STAR-RICH at RHIC



Their performance is largely based on that of the single photon detectors employed.



Дубна (LPP and LNP),
Москва (INR, LPI, State
University), Протвино



Warsawa (NCBJ),
Warsawa (TU)
Warsawa (U)



Praha (CU/CTU)
Liberec (TU)
Brno (ISI-ASCR)



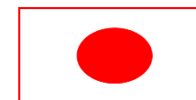
Calcutta (Matriviani)



Taipei (AS)



CERN



Yamagata



Lisboa/Aveiro



Tel Aviv



Bochum,
Bonn (ISKP
& PI), Erlangen, Freiburg,
Mainz, München TU



USA (UIUC)



Saclay



Torino (University, INFN),
Trieste (University, INFN)

Experiments with muon beam:

COMPASS - I (2002 – 2011)

- Spin structure, Gluon polarization
- Flavor decomposition
- Transversity
- Transverse Momentum-dependent PDF

COMPASS - II (2012 – 2021) ...

- DVCS and HEMP
- Unpolarized SIDIS and TMDs

Experiments with hadron beams:

- Pion polarizability
- Diffraction and Central production
- Light meson spectroscopy
- Baryon spectroscopy
- Pion and Kaon polarizabilities
- Drell-Yan studies

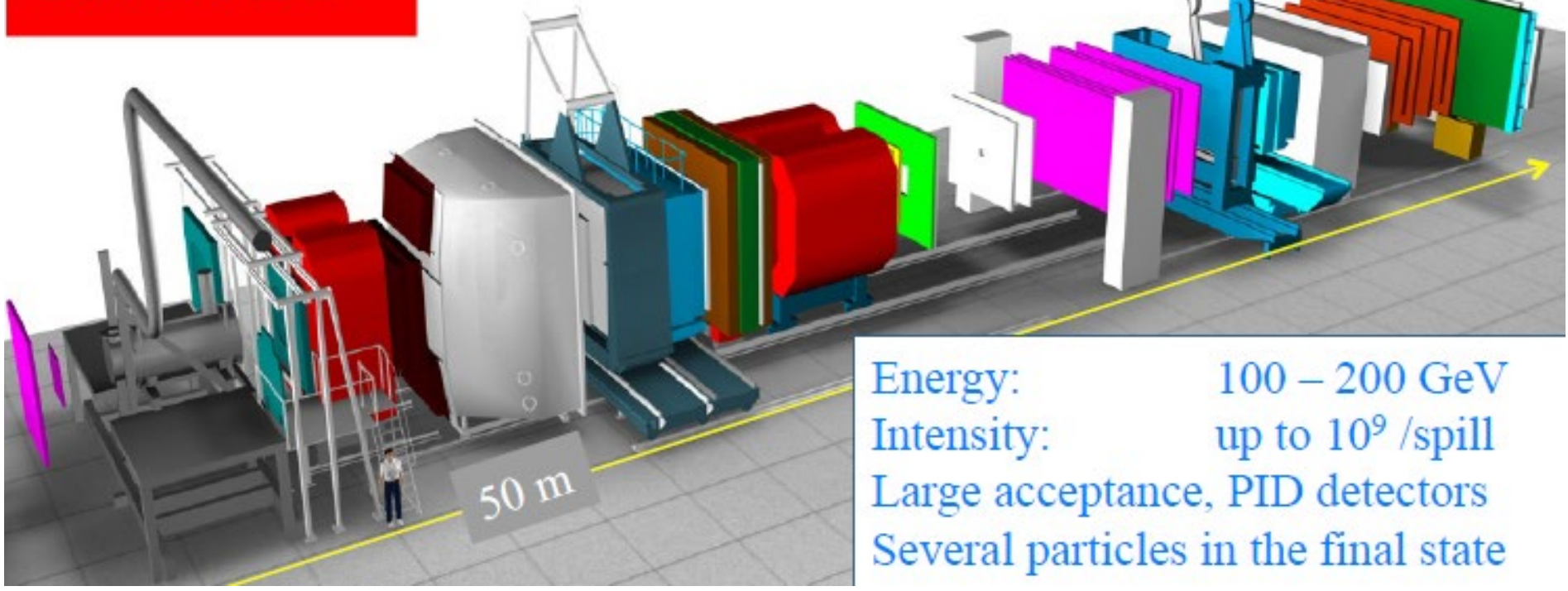
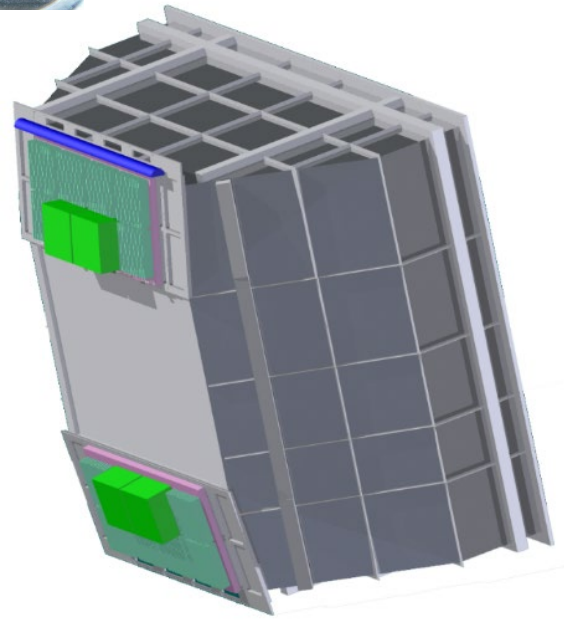
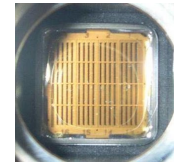
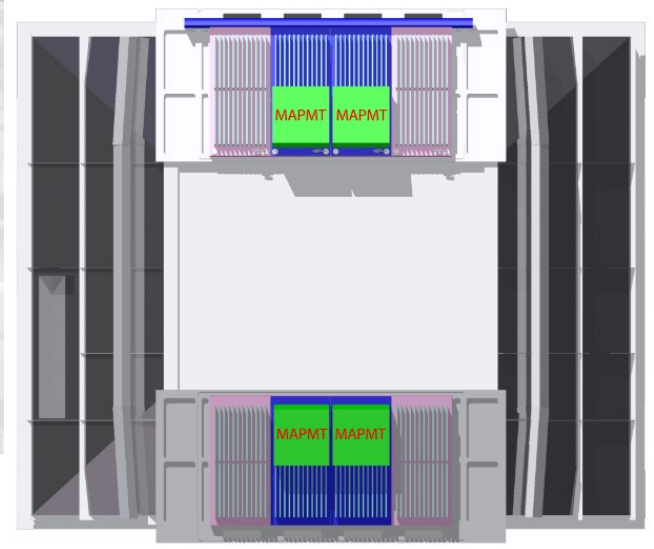
hadron spectroscopy (p, π, K)

- light mesons, glue-balls, exotic mesons
- polarisability of pion and kaon

nucleon structure (μ)

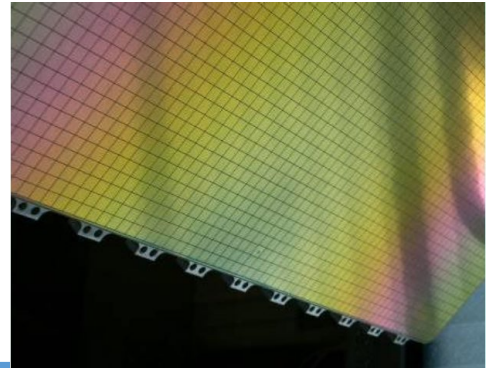
- longitudinal spin structure
- transverse momentum and transverse spin structure

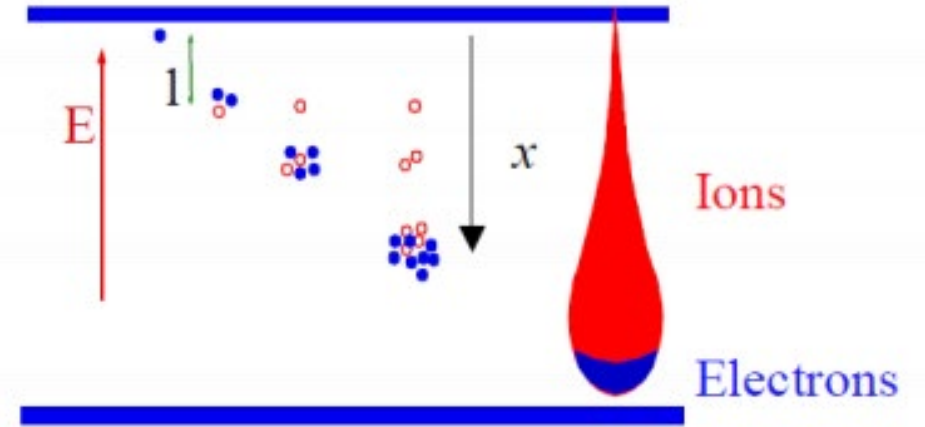
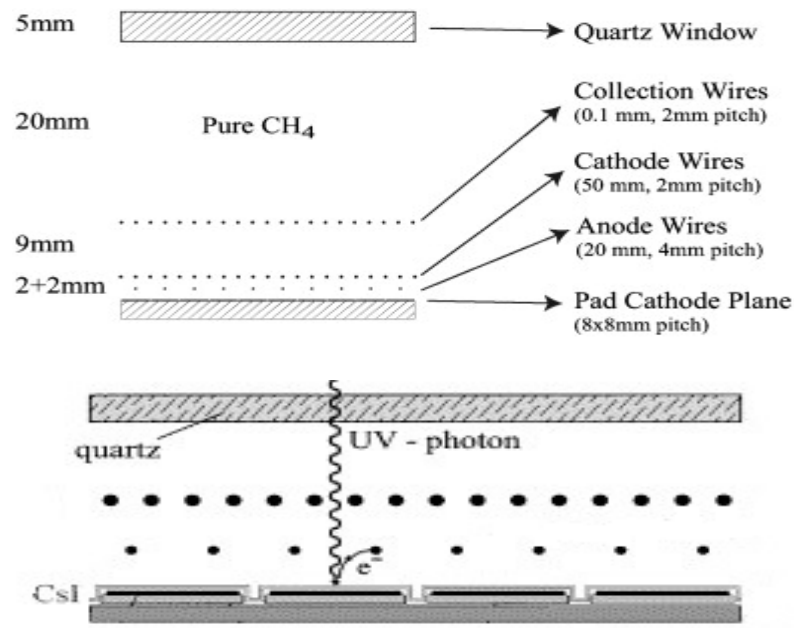
COMPASS



~80k electronic channels to read

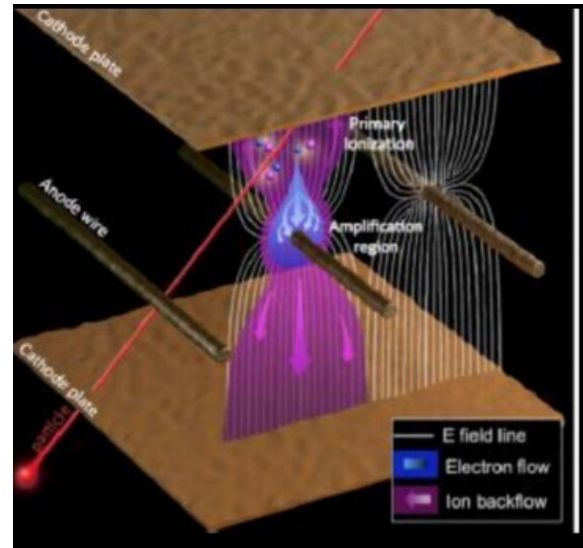
Energy: 100 – 200 GeV
 Intensity: up to 10^9 /spill
 Large acceptance, PID detectors
 Several particles in the final state





Reduced wire-cathode gap because of :

- Fast RICH (fast ion collection)
- Reduced MIP signal
- Reduced cluster size
- Control photon feedback spread



drift velocity of electrons in this region, it appears that the whole process of multiplication will take place in less than 1 nsec: at that instant, electrons have been collected on the anode and the positive ion sheath will drift towards the cathode at decreasing velocity. The detected signal, negative on the anode and positive on the cathode, is the consequence of the change in energy of the system due to the movement of charges. Simple electrostatic considerations show that if a charge Q is moved by dr, in a system of total capacitance kC (k is the length of the counter), the induced signal is

$$dV = \frac{Q}{kC} \frac{dV}{dr} dr \quad (33)$$

Electrons in the avalanche are produced very close to the anode (half of them in the last mean free path); therefore their contribution to the total signal will be very small: positive ions, instead, drift across the counter and generate most of the signal. Assuming that all charges are produced at a distance λ from the wire, the electron and ion contributions to the signal on the anode will be, respectively,

$$v^- = -\frac{Q}{kC} \int_a^{a+\lambda} \frac{dV}{dr} dr = -\frac{Q}{2\pi\epsilon_0 k} \ln \frac{a+\lambda}{a}$$

and

$$v^+ = \frac{Q}{kC} \int_{a+\lambda}^b \frac{dV}{dr} dr = -\frac{Q}{2\pi\epsilon_0 k} \ln \frac{b}{a+\lambda}$$

The total maximum signal induced on the anode is seen to be

$$v = v^+ + v^- = -\frac{Q}{2\pi\epsilon_0 k} \ln \frac{b}{a} = -\frac{Q}{kC}$$

and the ratio of the two contributions is

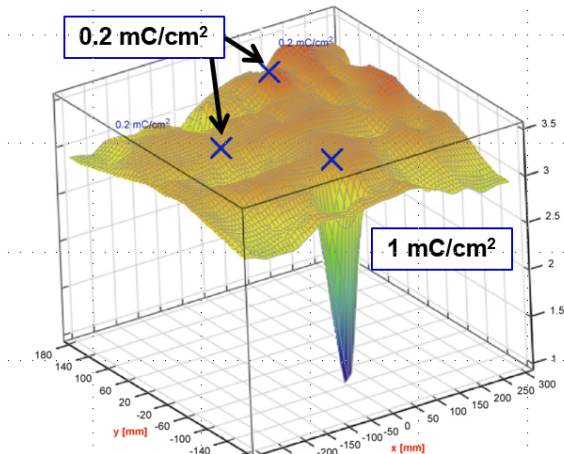
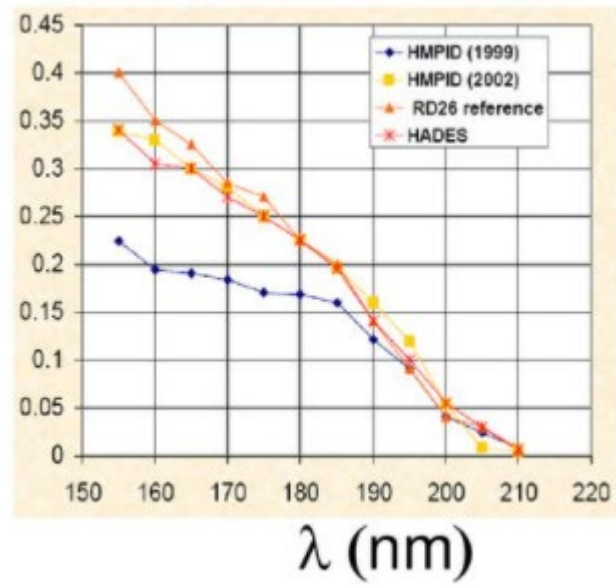
$$\frac{v^-}{v^+} = \frac{\ln \frac{a+\lambda}{a}}{\ln \frac{b}{a+\lambda}}$$

Typical values for a counter are a = 10 μm, λ = 1 μm, and b = 10 mm; substituting in the previous expression one finds that the electron contribution to the signal is about 1% of the total. It is therefore, in general, neglected for all practical purposes. The time development of the signal can easily be computed assuming that ions leaving the surface of

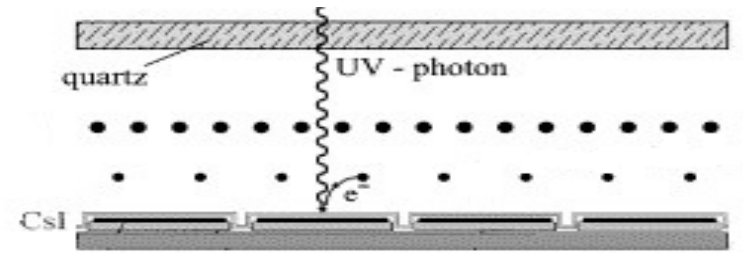
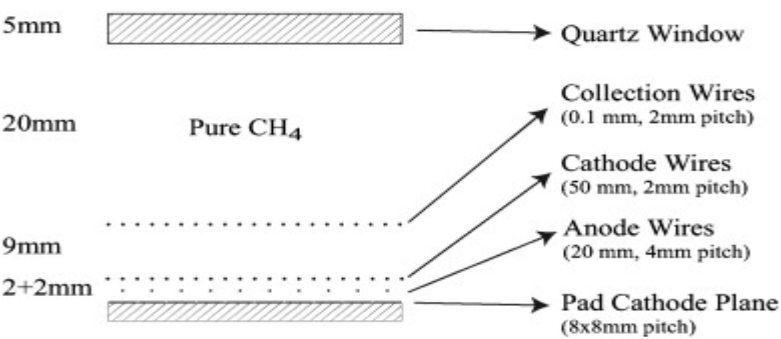
The RD-26 project

Launch of CERN/RD-26 project in 1992, by F. Piuz et al., :
 "Development of large area advanced fast-RICH detector for particle identification at the LHC operated with heavy ions"

CsI quantum efficiency



H. Hoedlmoser et al., NIM A 574 (2007) 28.



(From L. Molnar – RICH 2007 Trieste)

*Use of the CsI as photon converter:
 A revolution in the panorama of Cherenkov detectors*

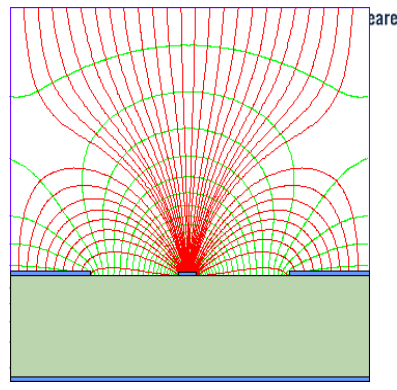
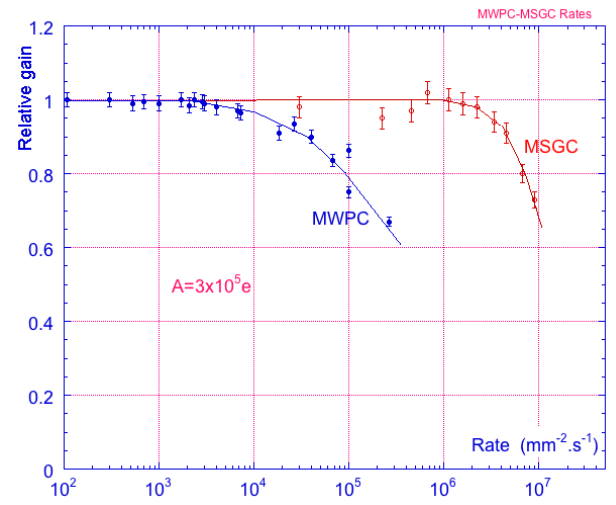
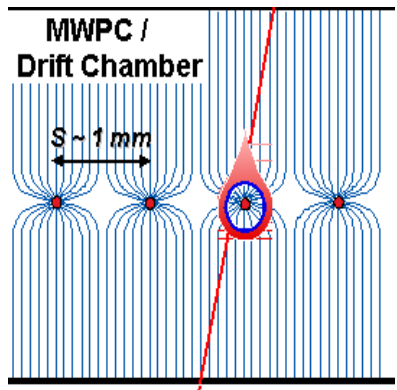
Anyhow this technology suffers from some limitations:

- Long recovery (1 day) time after a discharge occurs
- Ions accumulation at the photocathode: limitation in the maximum gain $< 10^5$
- Photon and ion feedback from the multiplication avalanche
- «Ageing» few mC / cm² reduction in the QE

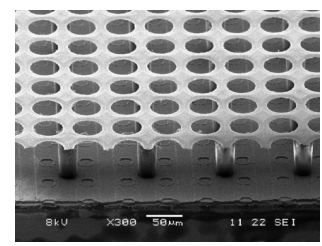
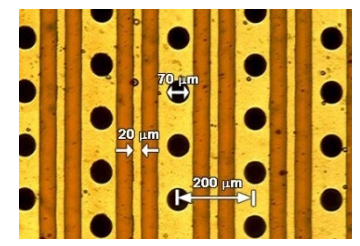
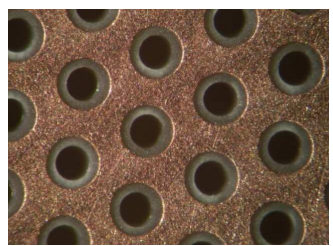
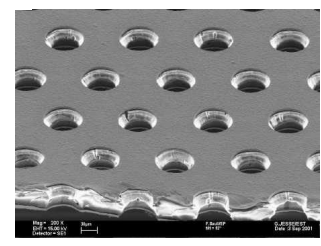
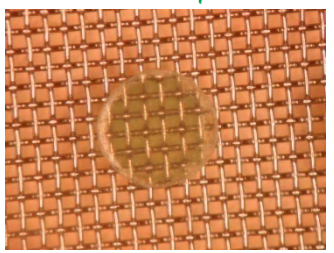
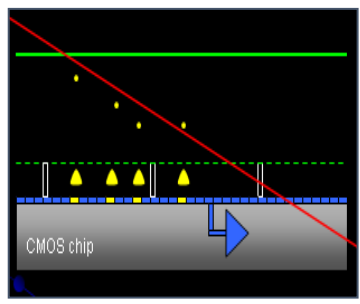
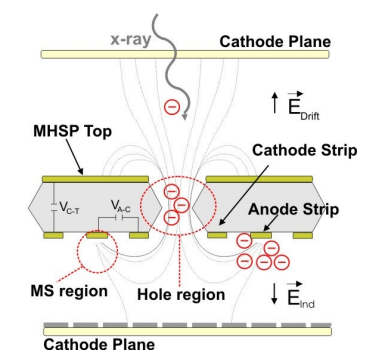
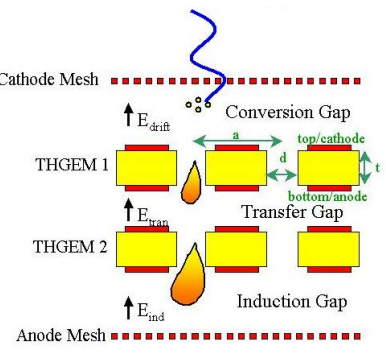
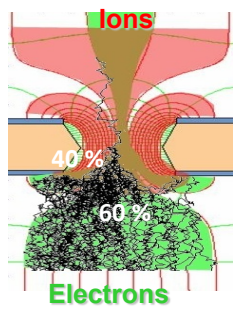
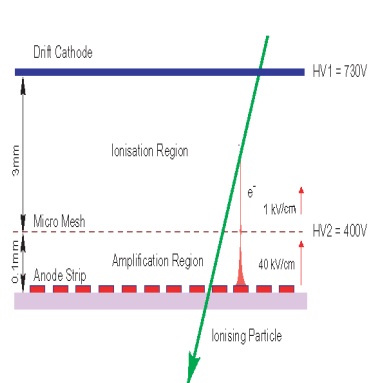
Possible to overcome the limitations of this technology?

Overcoming the limitation of the MWPC

- Able to work and cope with high rate detection
- High gain achievable: gas gain
- Good time/space/E resolution
- Robust: ageing robustness
- Natural Ion Backflow/Photon feedback reduction CG
- Low cost large size detector production possible
- Intrinsically fast: signal is induced by electrons...!



Rate Capability Comparison for MWPC and MSGC

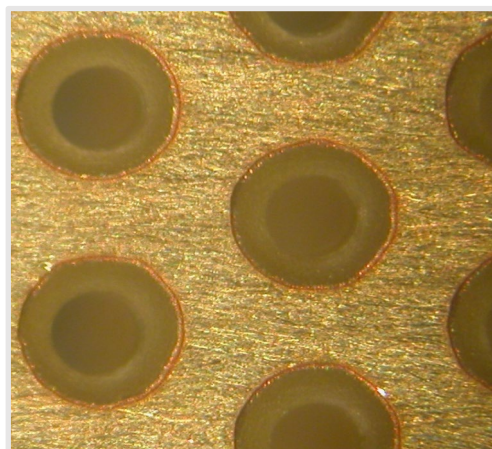


Use of the industrial technology to produce Printed Circuit Boards

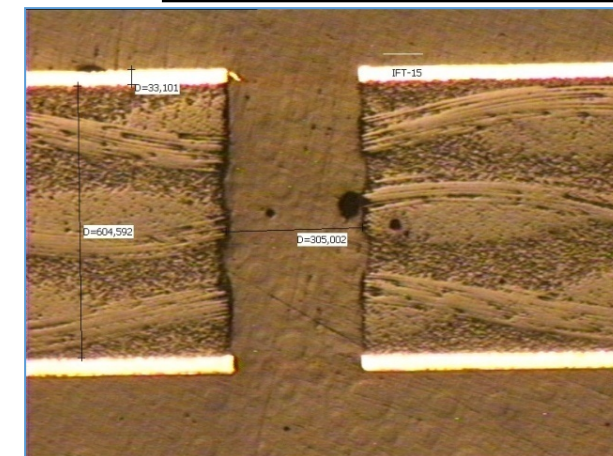
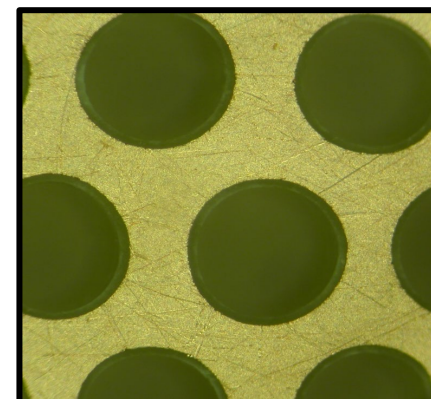
- Electrical robustness: no damages induced by discharges
- Mechanical properties: robust and self supporting no stretching is needed
- Possible industrial production of large size @ low cost PCB
- Economic material

Compared to GEM

- Geometrical dimensions x 10
- e motion and multiplication properties do not scale
- Dipolar and external field strongly coupled



About PCB geometrical dimensions:
Hole diameter : 0.2 – 1 mm
Pitch : 0.5 – 5 mm
Thickness : 0.2 – 3 mm



introduced in // by different groups:

L. Periale et al., NIM A478 (2002) 377.

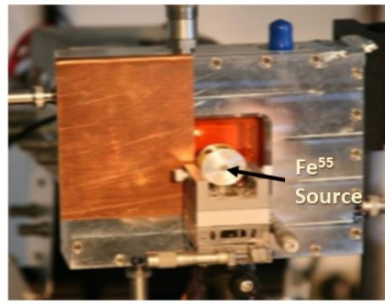
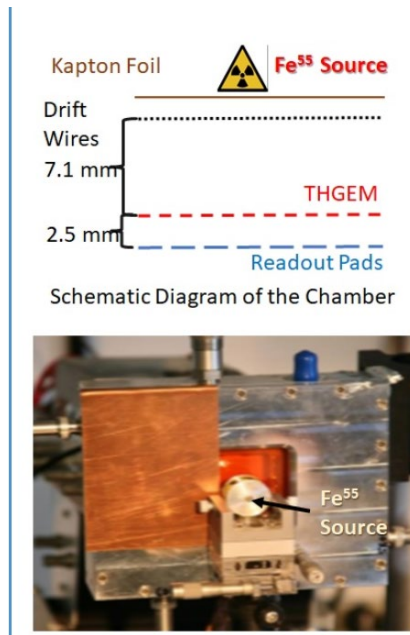
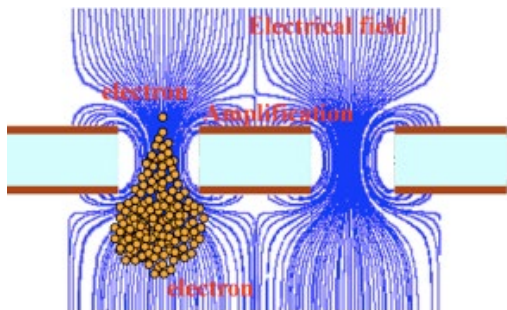
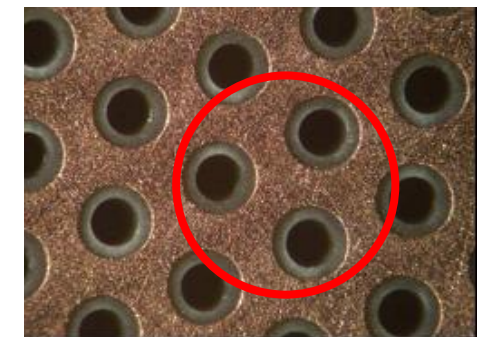
P. Jeanneret, PhD thesis, Neuchatel U., 2001.

P.S. Barbeau et al, IEEE NS50 (2003) 1285

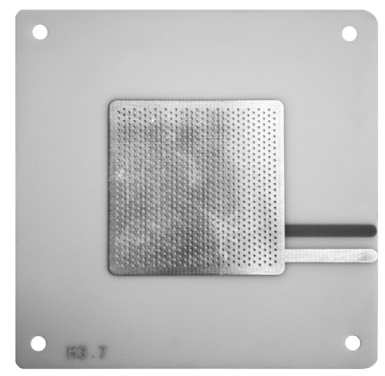
R. Chechik et al, .NIMA 535 (2004) 303

THGEMs are electron multipliers derived from the gem concept changing geometrical dimensions and production technology.

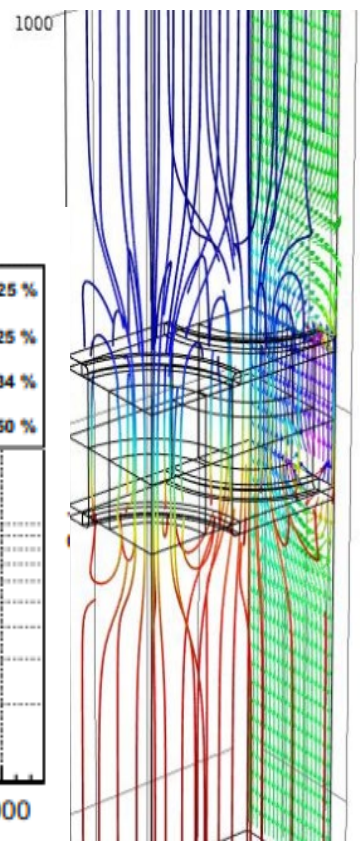
$$\text{Gain} = \frac{\text{Charge collected}}{\text{Initial Charge}}$$



Small size 30x30 mm²
Built and operated

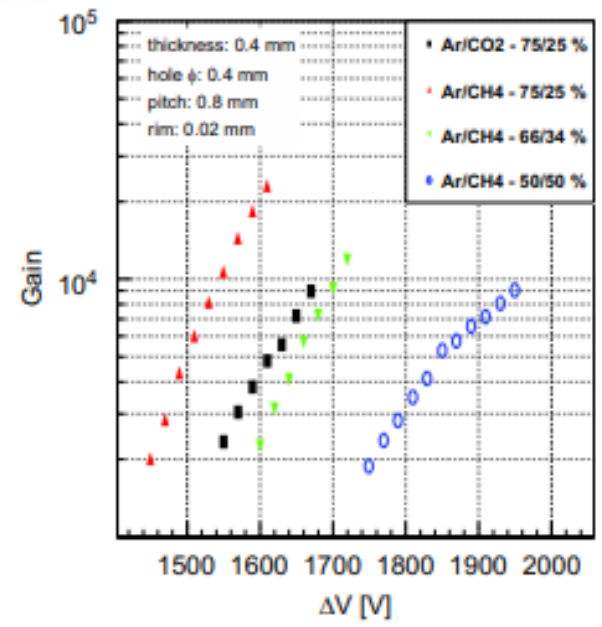
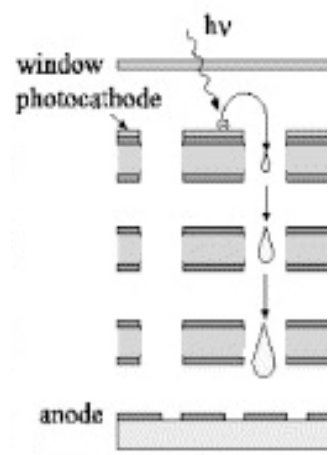


Electrostatic simulations



Characterisation of small 10cm² size THGEM prototypes

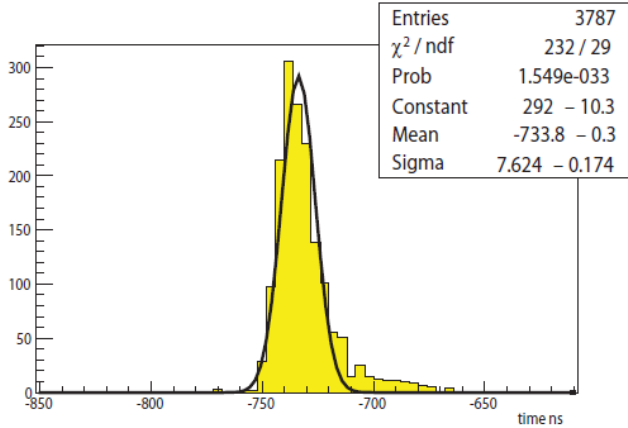
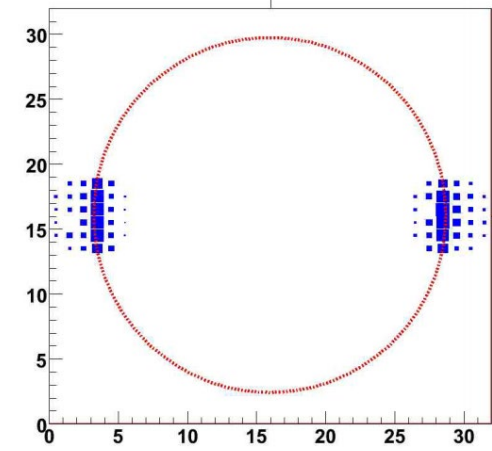
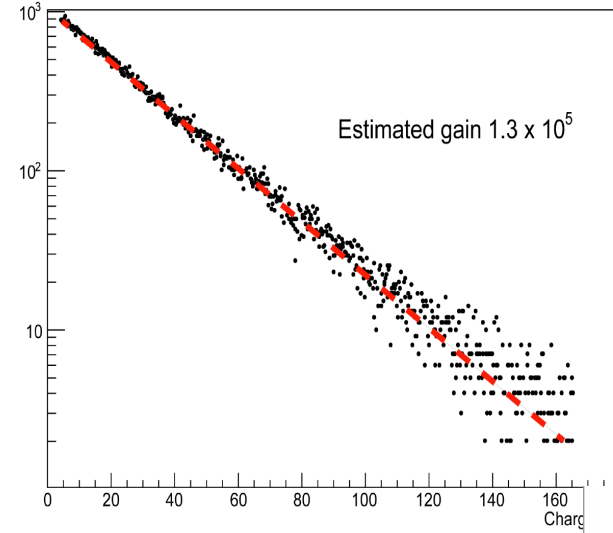
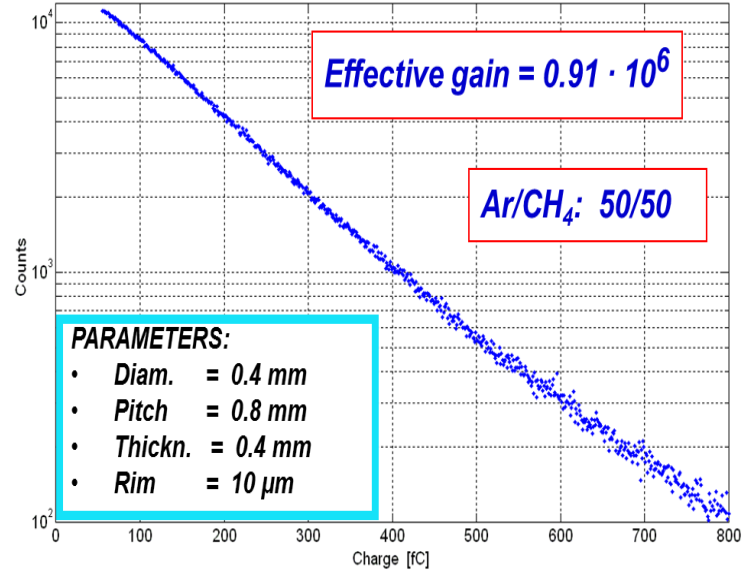
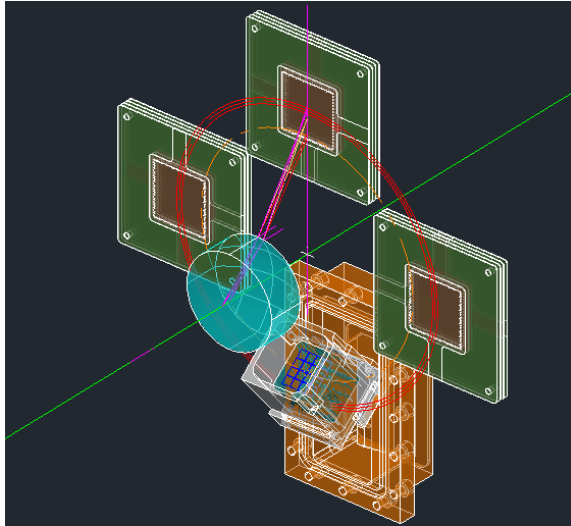
- Using X-ray sources
- Using UV light sources
- With Cherenkov light at the test beams
- Analogic read-out, single channel
- Digital read-out, 1 channel per anode pad
- Read-out of the current on the various electrodes



For small prototypes Ar/CH4 60-40%

Gain achieved in laboratory with triple THGEM structures (stable condition) and UV light $0.9 \cdot 10^6$

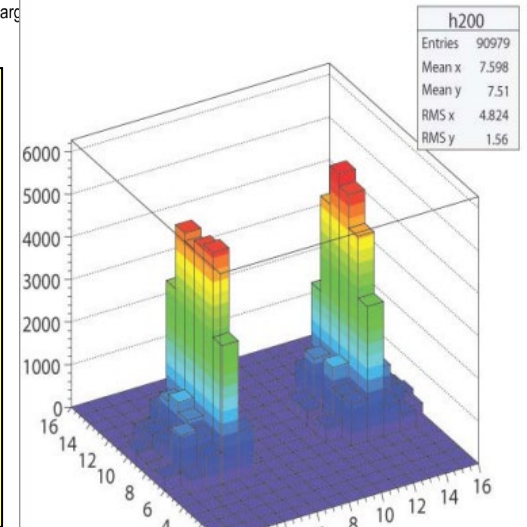
Gain achieved in test beams with triple THGEM structures (stable condition) and Cherenkov light from quartz radiator $1 \cdot 10^5$

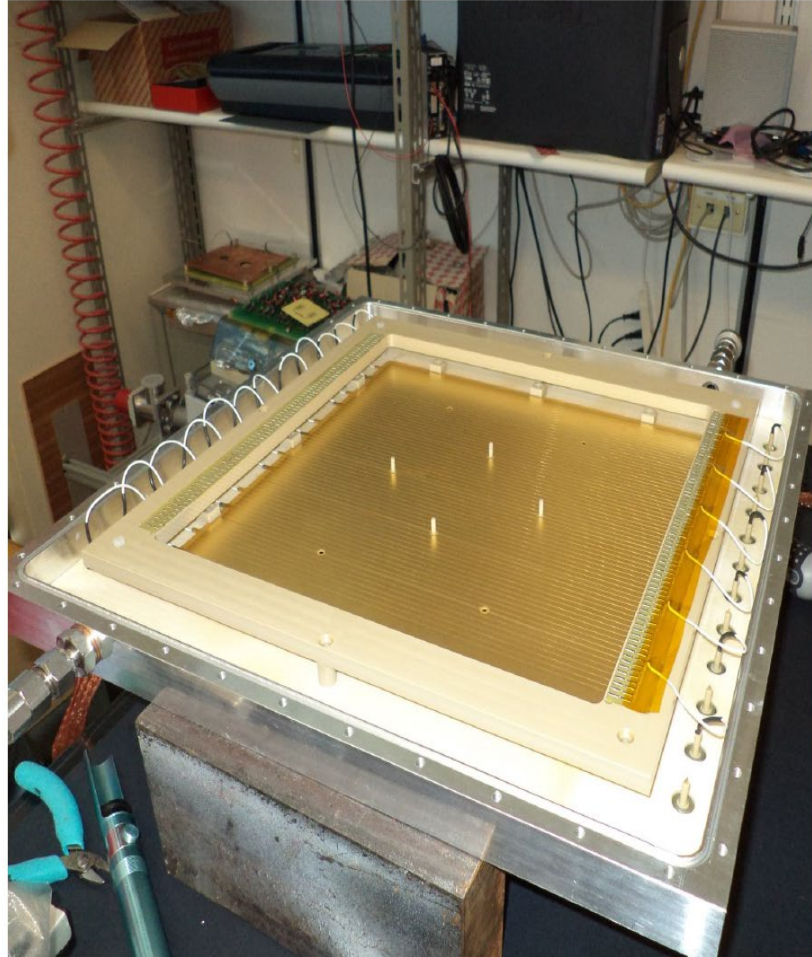
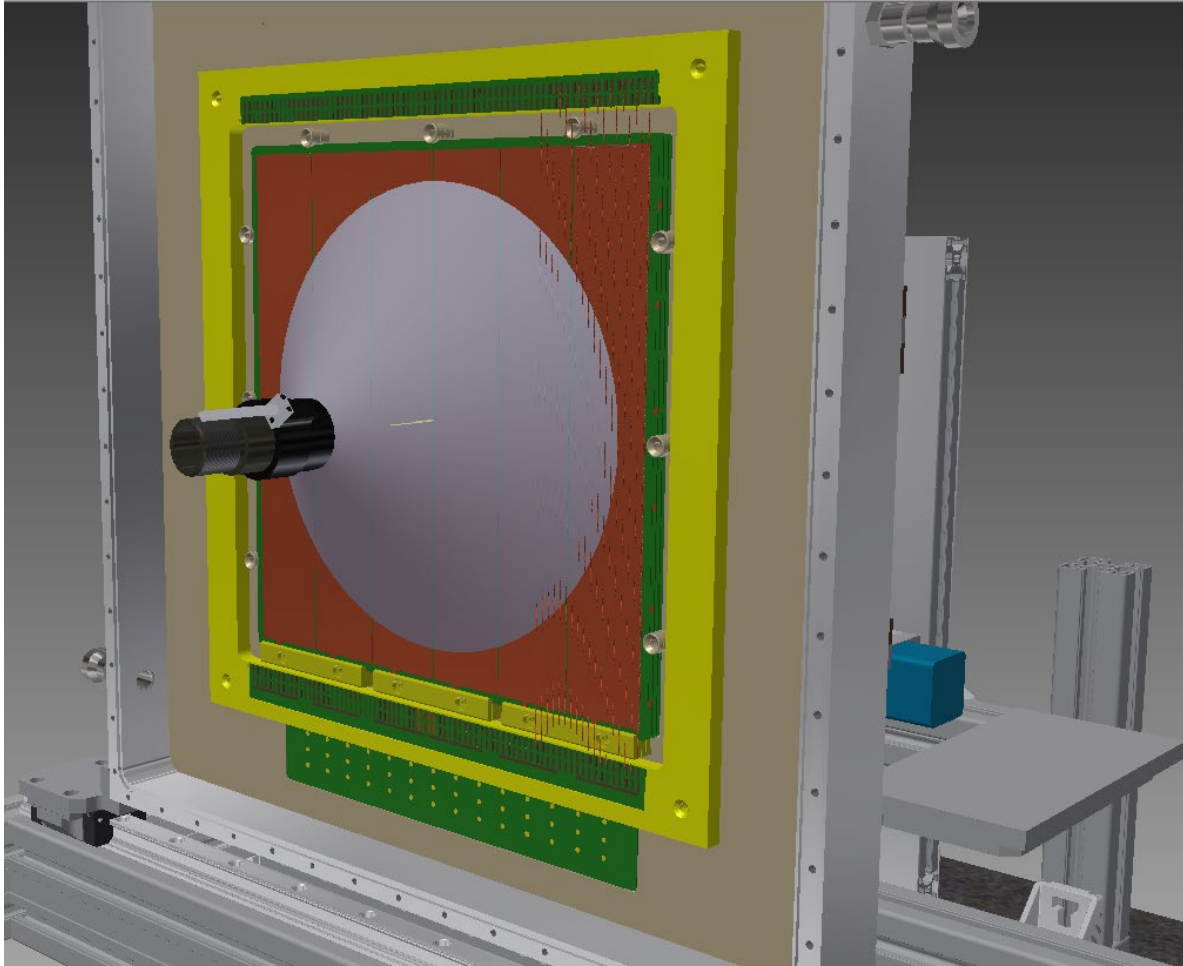


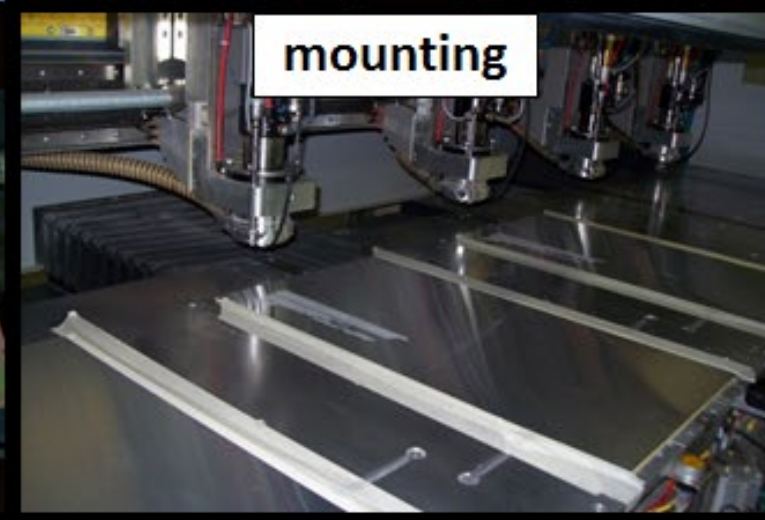
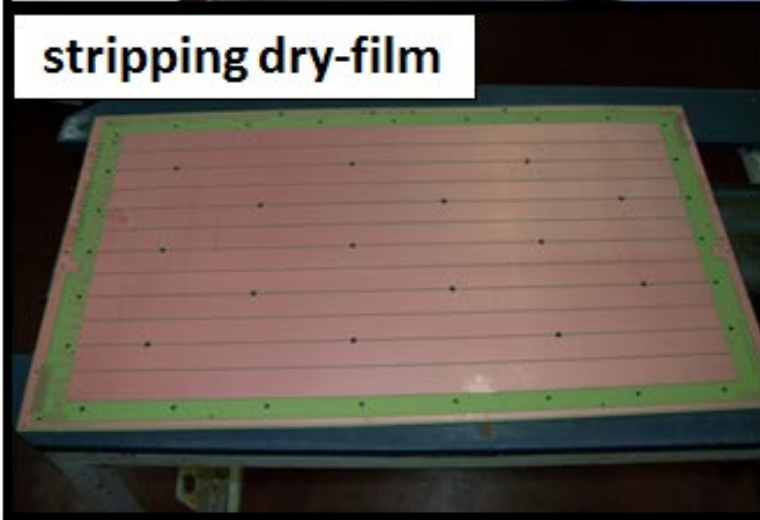
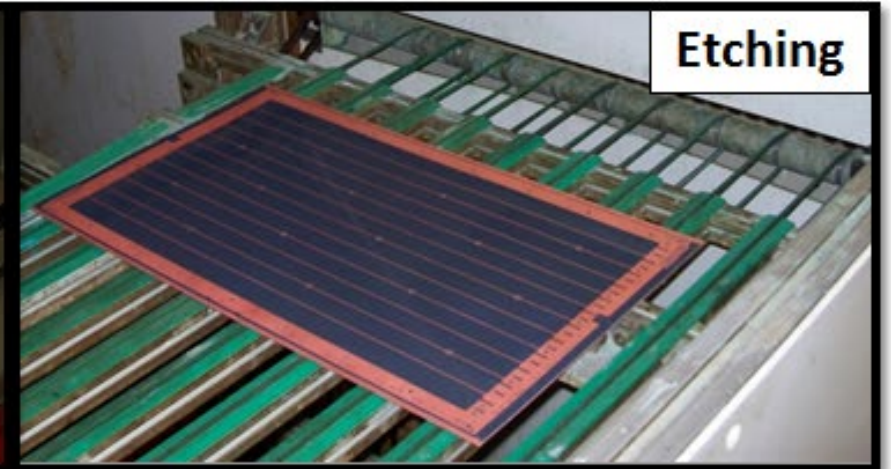
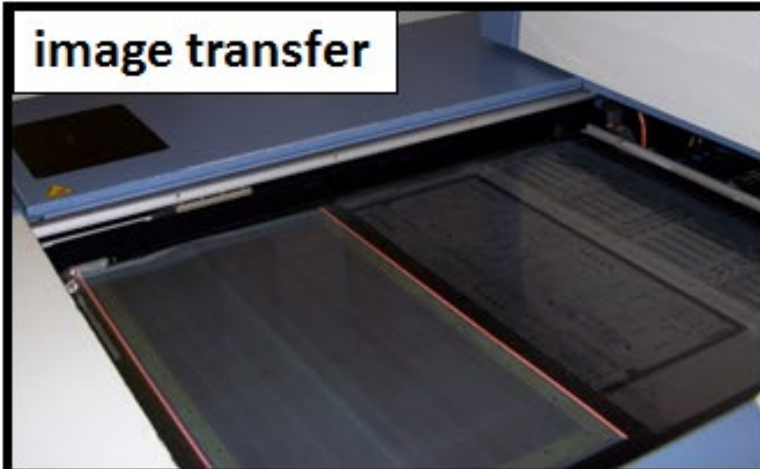
Small size PD's (active area = 30x30 mm²):

typical max. stable gain: with UV light in lab: 1 M
during test beam: 0.2 M

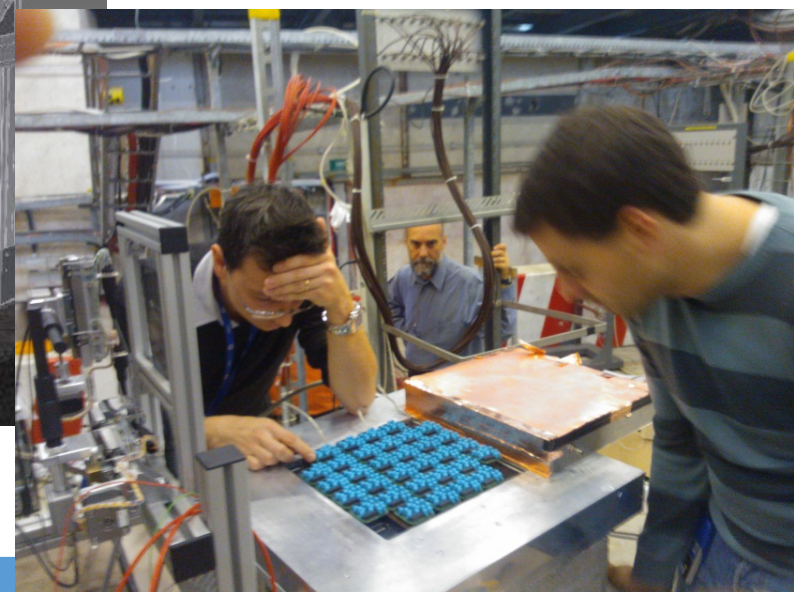
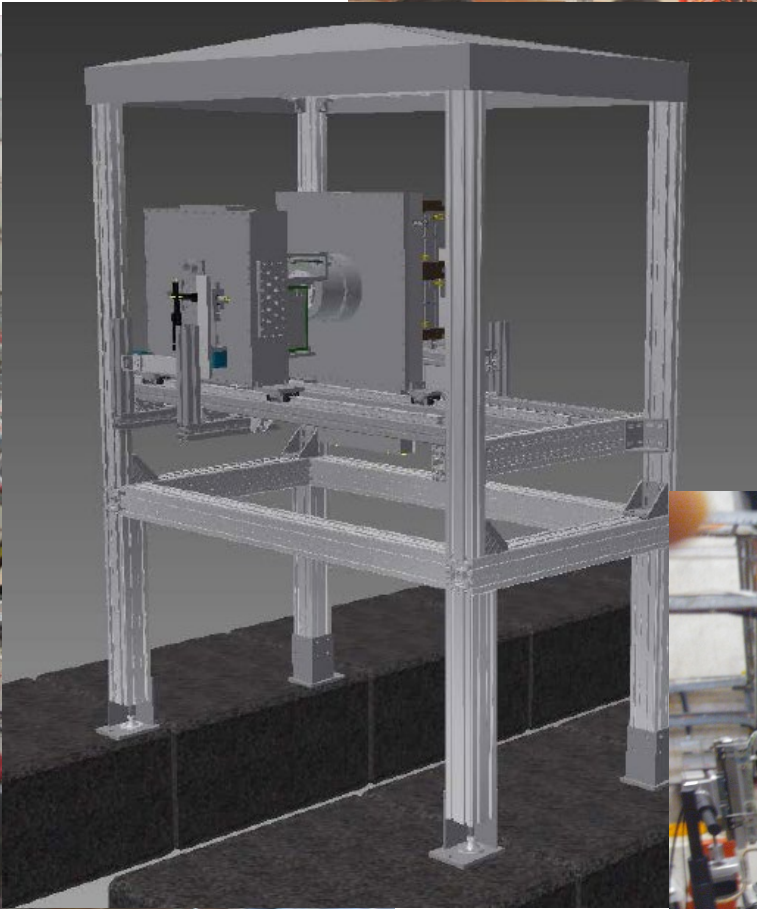
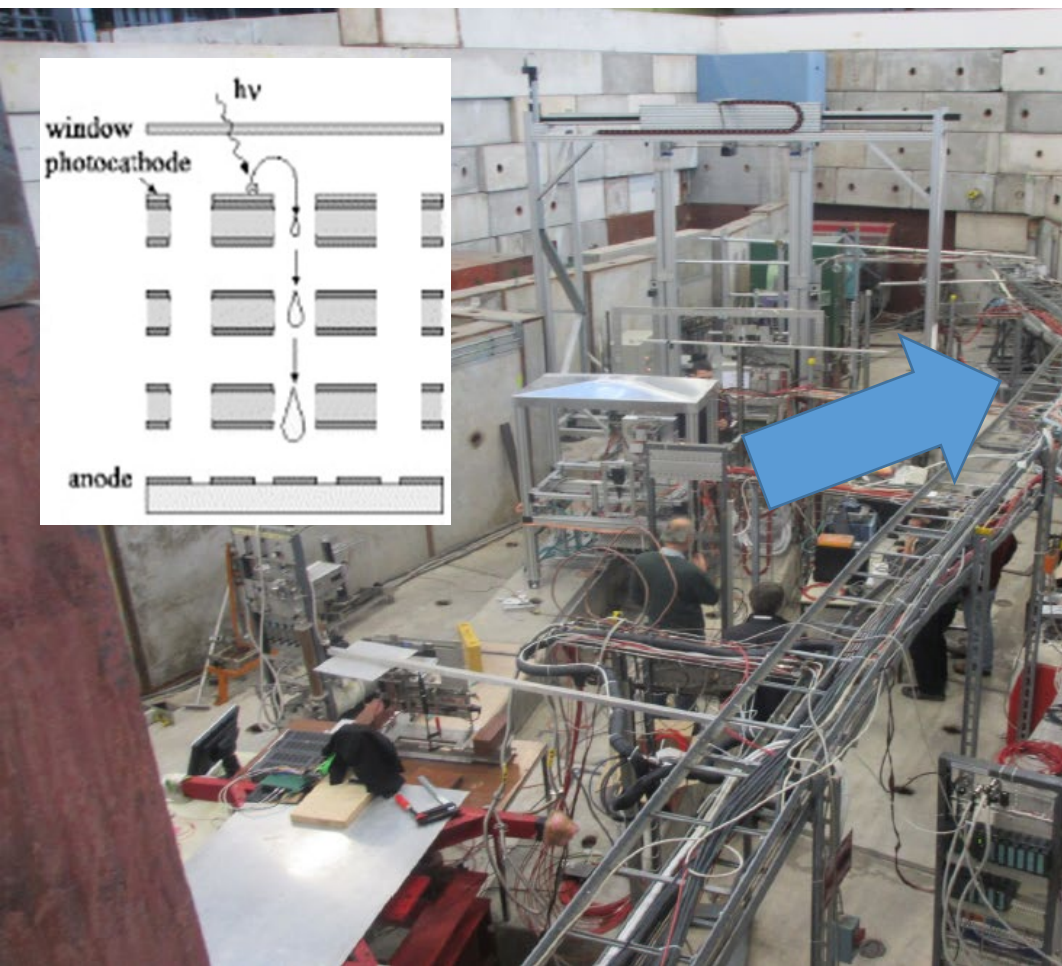
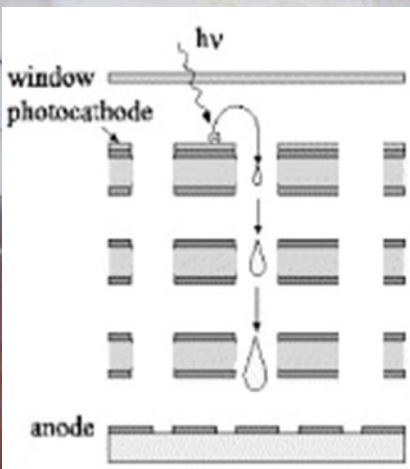
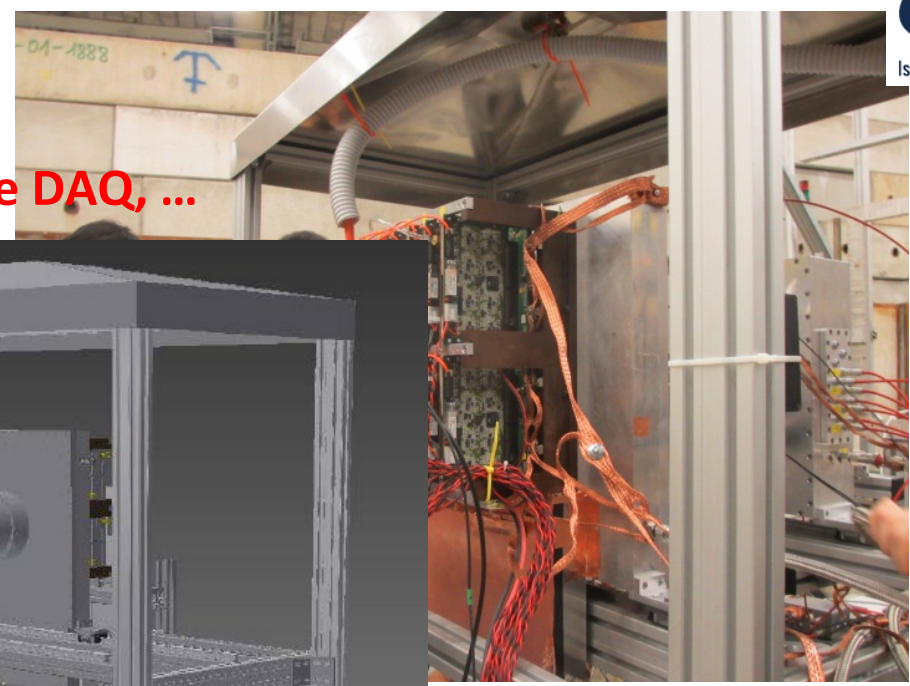
efficient detection of single photons
signal formation time ≈ 100 ns, time resolution ≈ 8 ns

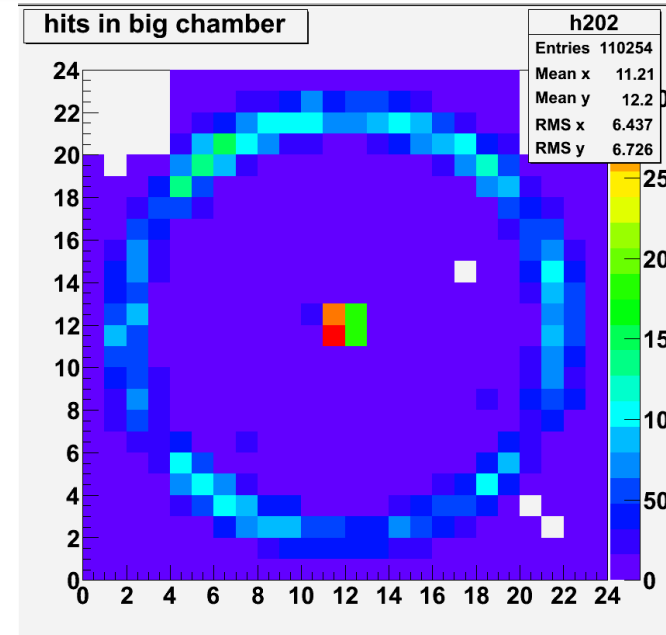
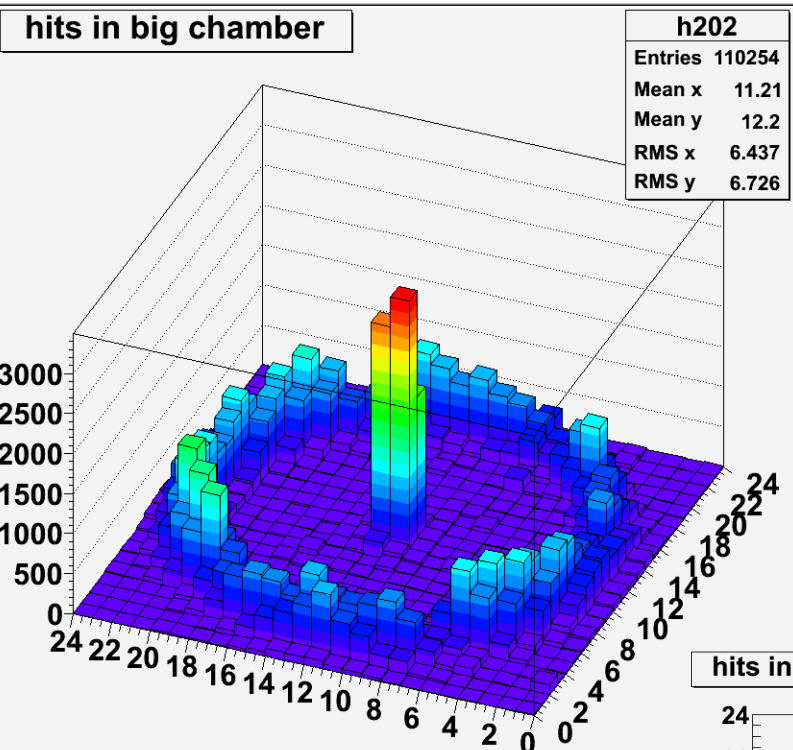




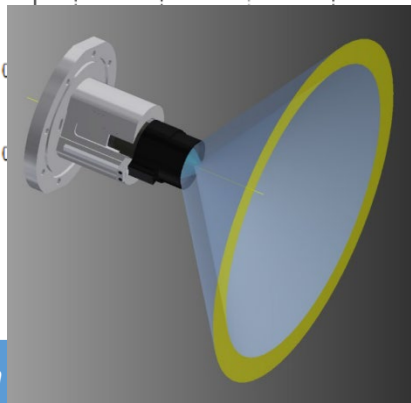
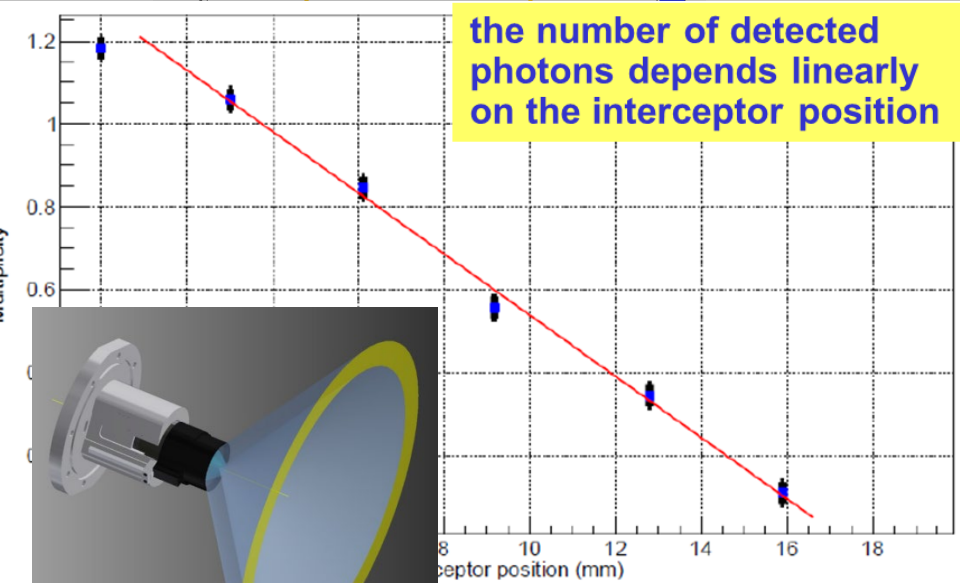
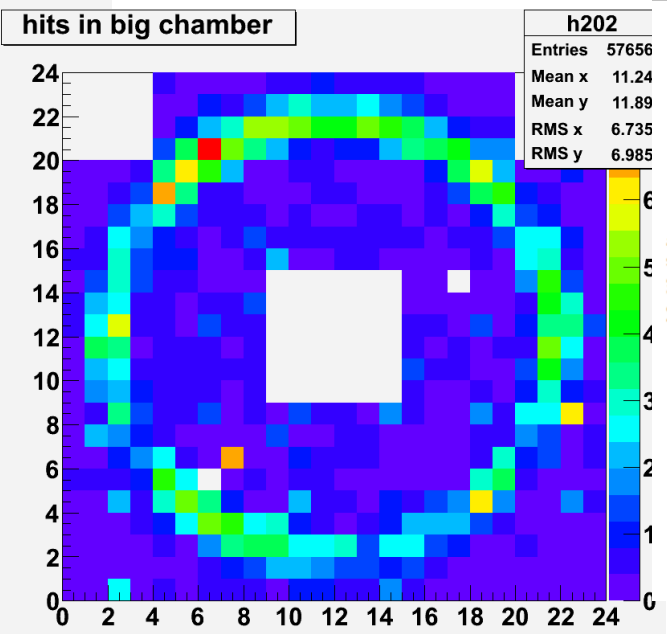
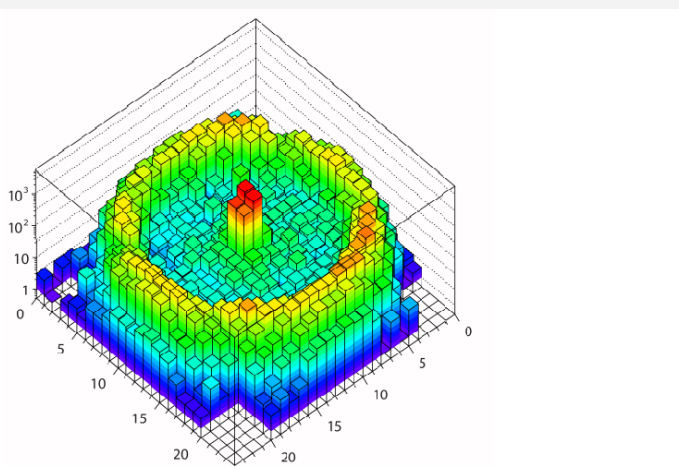
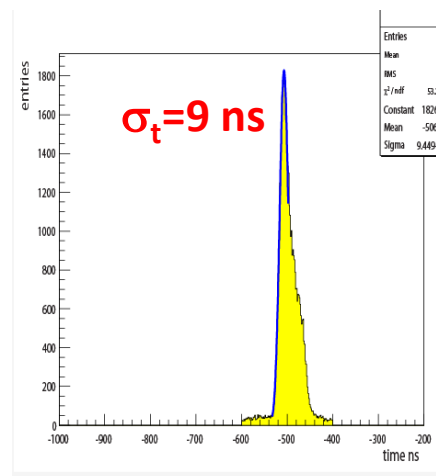
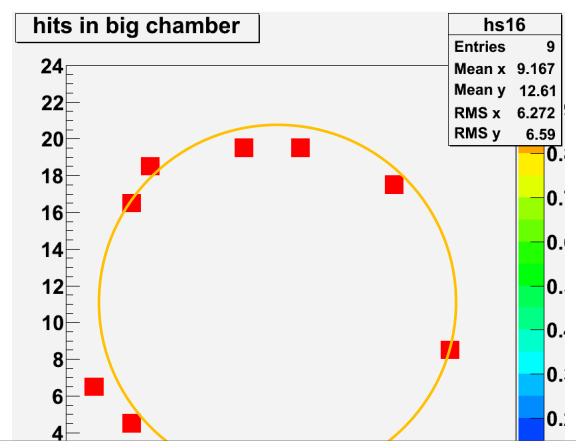


PS T10 beam line 5/11/2012 – 25/11/2012
Triple THGEM 300x300 (576 pads); 2 Triple 30x30, 1 MAPMT
trigger system, Č radiators, Analog & Digital r/o, COMPASS-like DAQ, ...

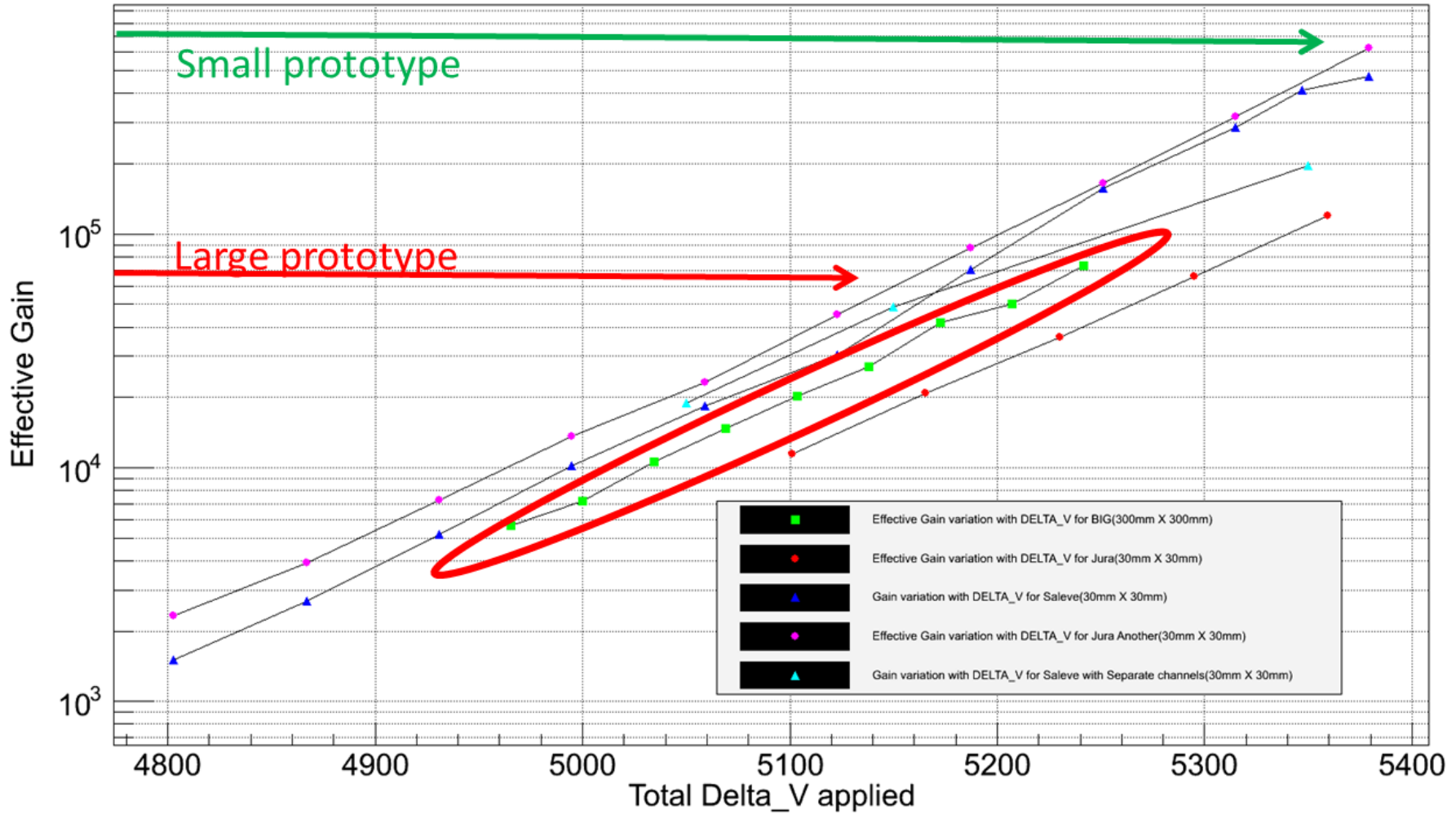
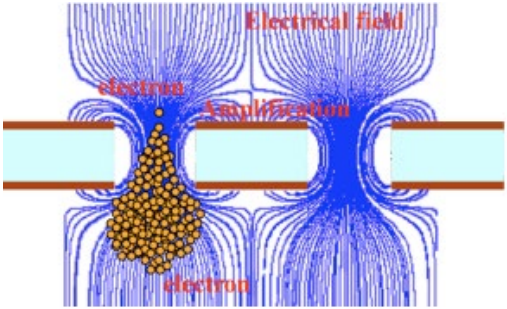




HV Settings
(7400, 7520, 7450, 7400, 7400, 7350),
Threshold (FE) 2-3 fC



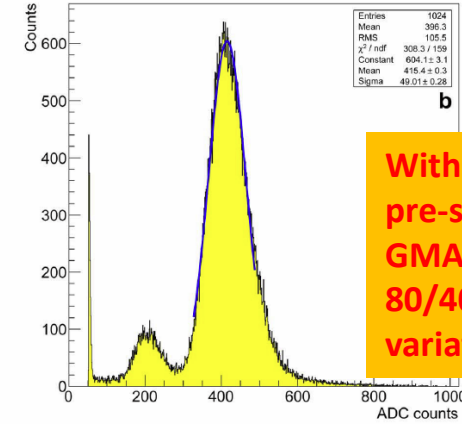
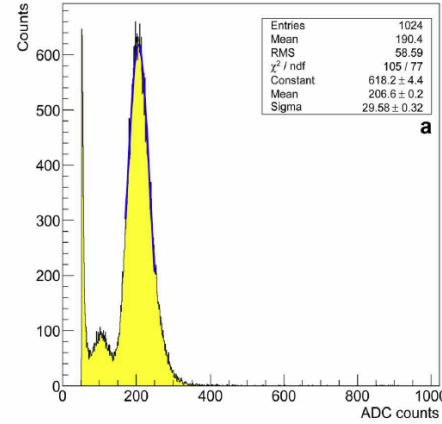
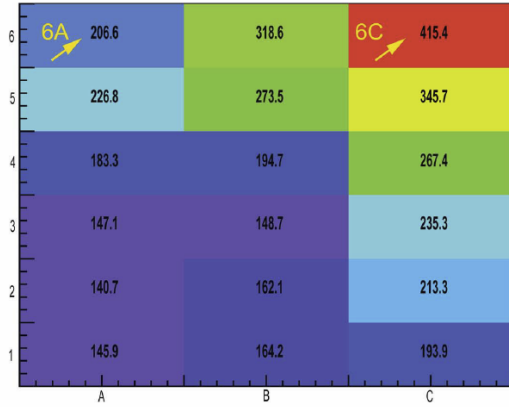
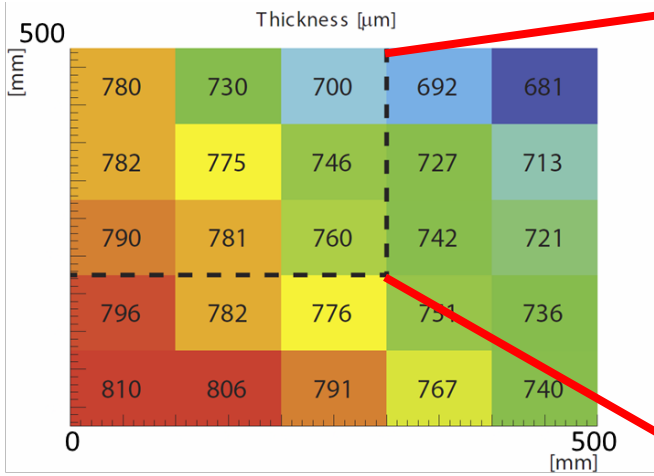
For large size prototypes Ar/CH4 60-40%:
 Gain achieved in test beams with triple THGEM structures
 Cherenkov light from quartz radiator $2 \cdot 10^4$



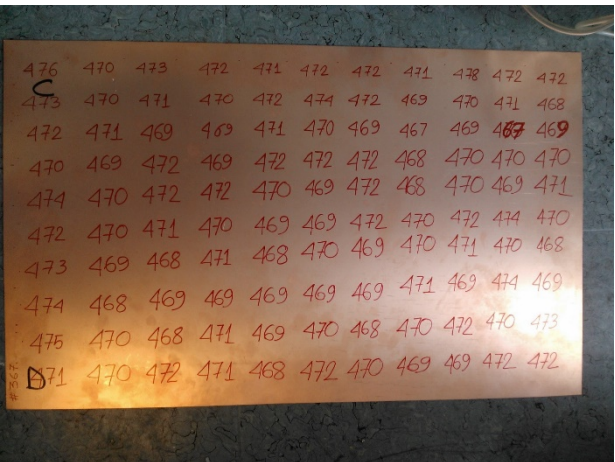
The thickness uniformity plays an essential role in defining the gain achievable

the maximum gain is limited by the thinner area, standard PCB variation 30% , our requirements <2%.

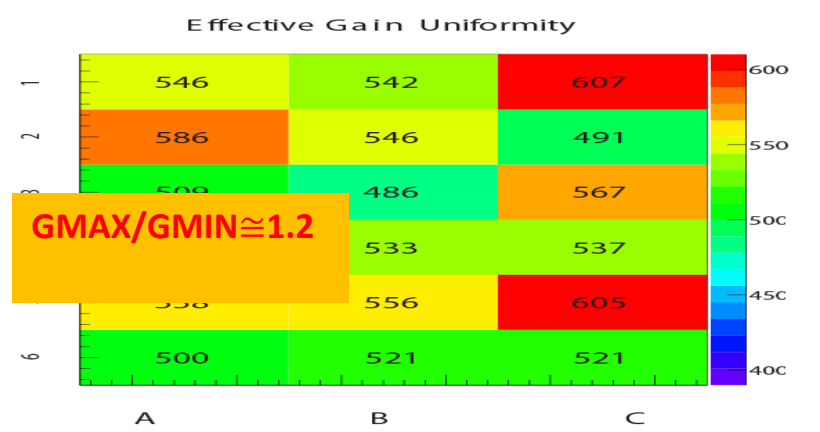
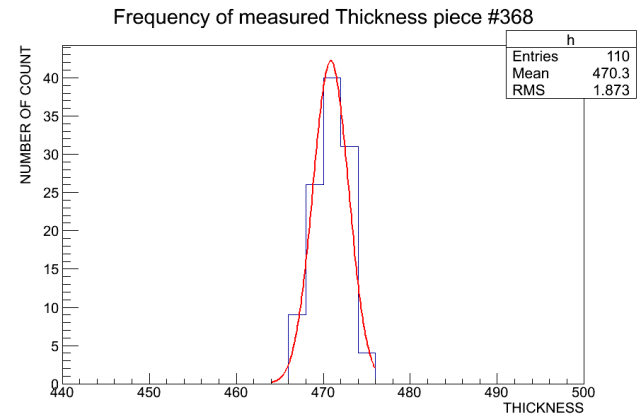
We have implemented a pre selection chain for PCB thickness → tolerances reduced, but material selection is not trivial



**With no material pre-selection
GMAX/GMIN ≈ 2.9
80/400 mm variation**

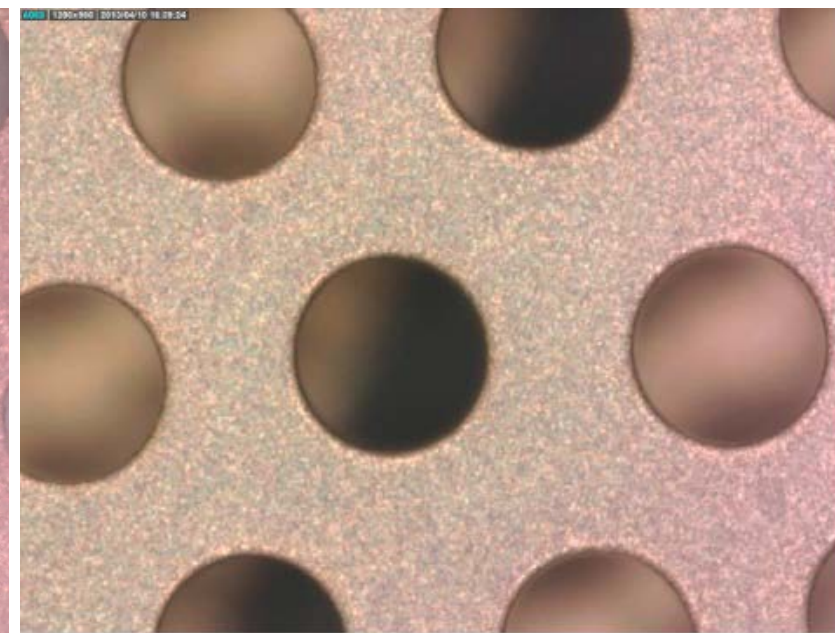
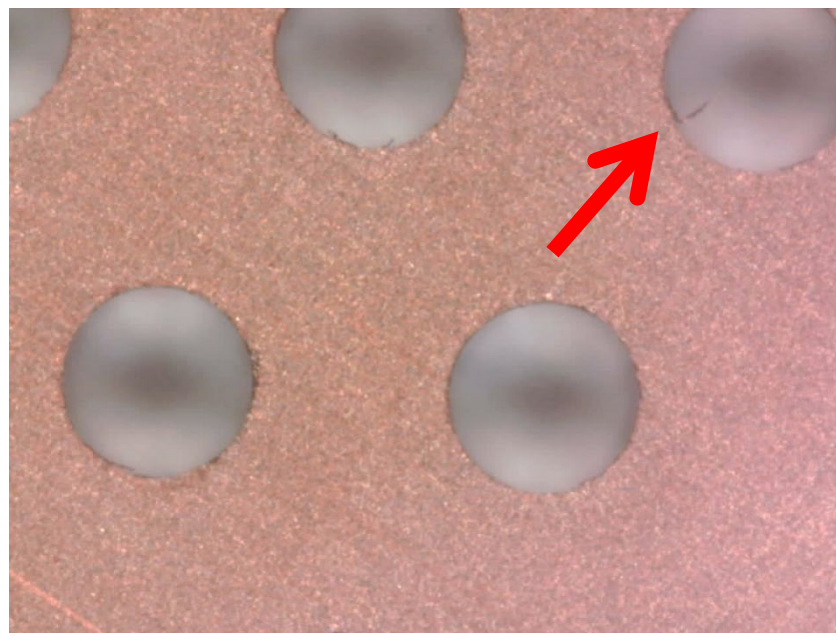
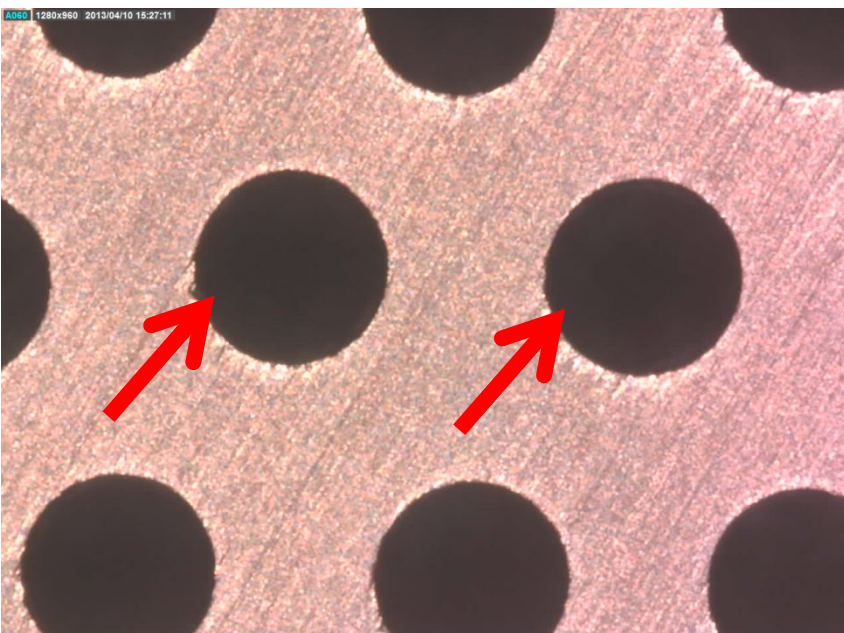


**With material preselection
σ_{thickness} ≈ 2μm**



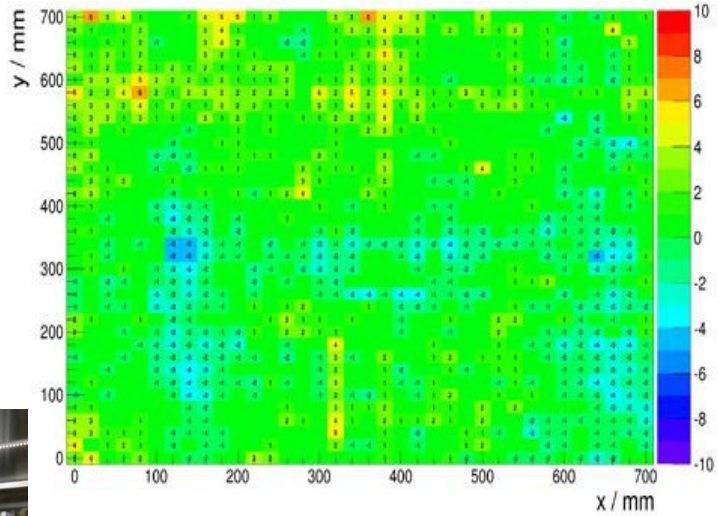
The standard procedure of PCB production has been refined → better smoothed hole edges improve the detector maximum gain achievable, (*developed in Tieste Lab*)
Large number of holes/layers → challenging

Based on fine pumice grain polishing, high pressure washing and ultrasonic bath in mild commercial etching solution

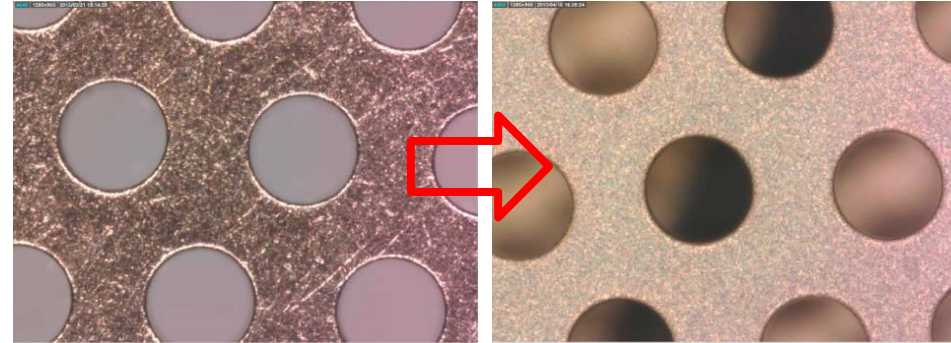




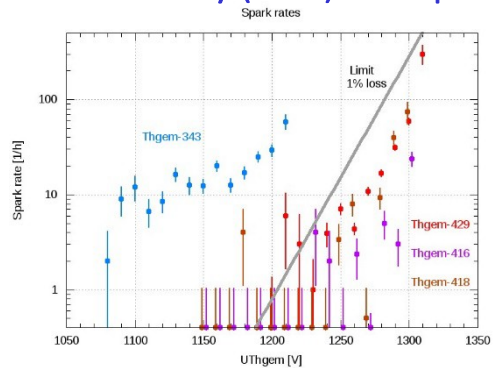
Measurement of the raw material thickness before the THGEM production, accepted:
 $\pm 15 \mu\text{m} \leftrightarrow$ gain uniformity $\sigma < 7\%$



THGEM polishing with an “ad hoc” protocol setup by us including backing:
 >90% break-down limit obtained



X-ray THGEM test to access gain uniformity (<7%) and spark behaviour



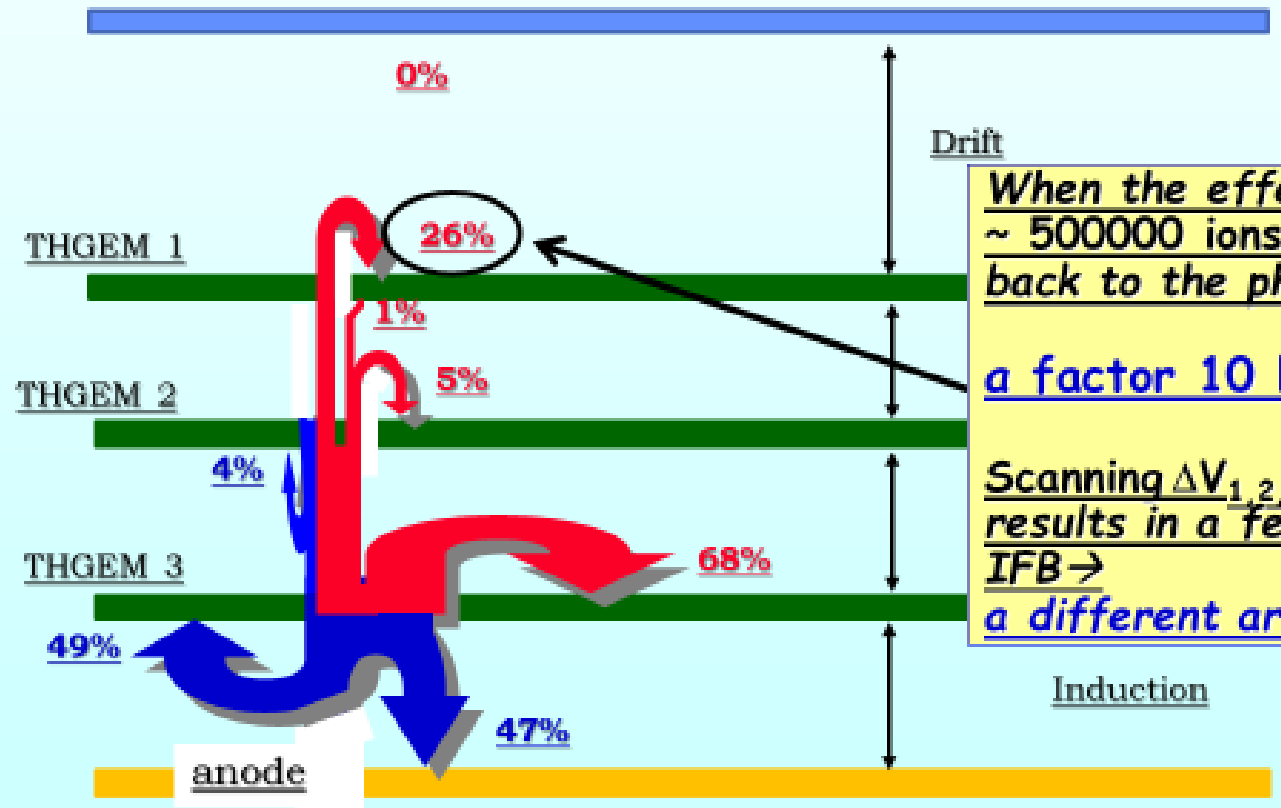


Important open problem: reduction of IBF



THGEMs
 Dim.: 0.4 mm
 Pitch: 0.8 mm
 Thickn.: 0.4mm

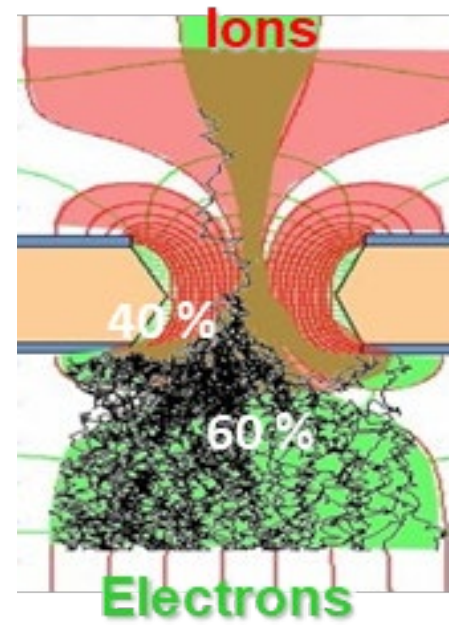
typical charge sharing

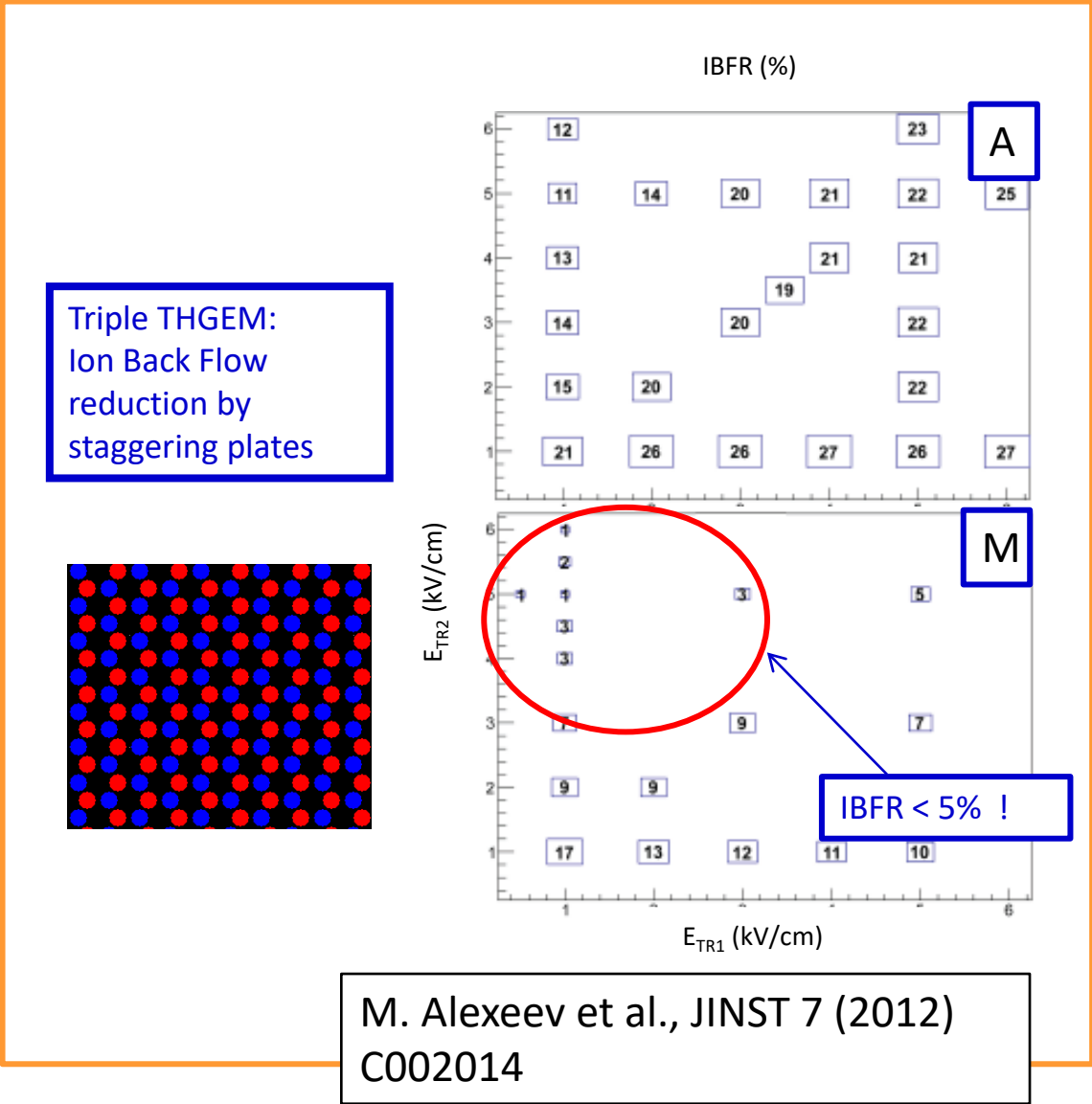


When the effective gain is $10^6 \rightarrow$
 ~ 500000 ions/(detected photon)
 back to the photocathode

a factor 10 less is needed

Scanning $\Delta V_{1,2,3}, E_{transfer}, E_{induction}$
 results in a few % variation of the
 IBF \rightarrow
 a different architecture is needed





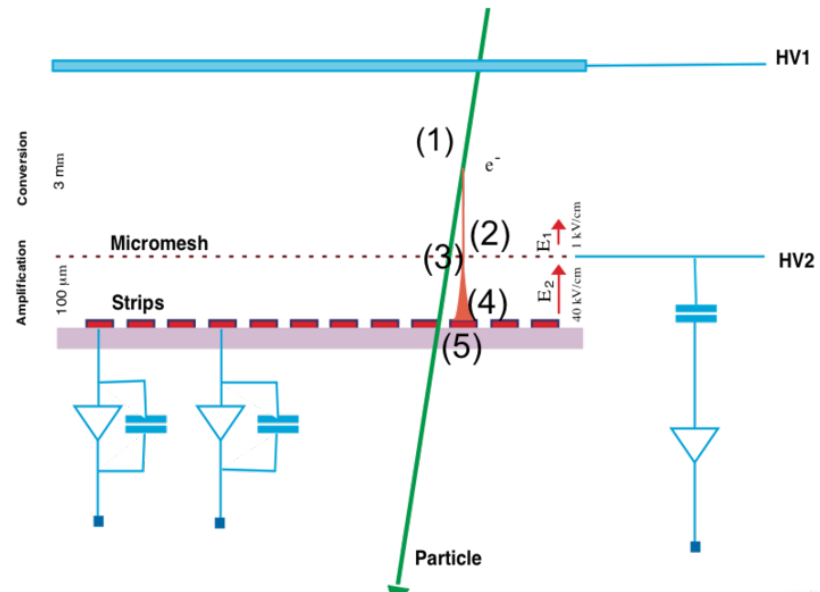
The Misaligned configuration can give a IBF in the order of few percent.

- the misalignment between holes $m = 0.8 \frac{\sqrt{3}}{2} \sim 0,6928$
- the use of strong electric field between the THGEM multipliers, results in an increase of the potential values to be applied to the THGEM electrodes, problematic in case of discharge
- Lower gain (~ 50%) : higher V to recover, problematic in case of discharge

Look back in the MPGD world

A Micromegas detector consists in an ionization stage + by a parallel plate avalanche chamber with a very narrow amplification gap ($\sim 100 \mu\text{m}$) defined by the anode plane and by a micromesh.

**Natural suppression of the Ion Back Flow:
Fraction of the ions flowing back
from the multiplication volume !!!**



1: Ionizing track, 2: Primary ionization, 3: Micromesh, 4 Charge Avalanche, 5 Readout Pad

MICROMEAS
Thin (50-100 μm) multiplication gap:

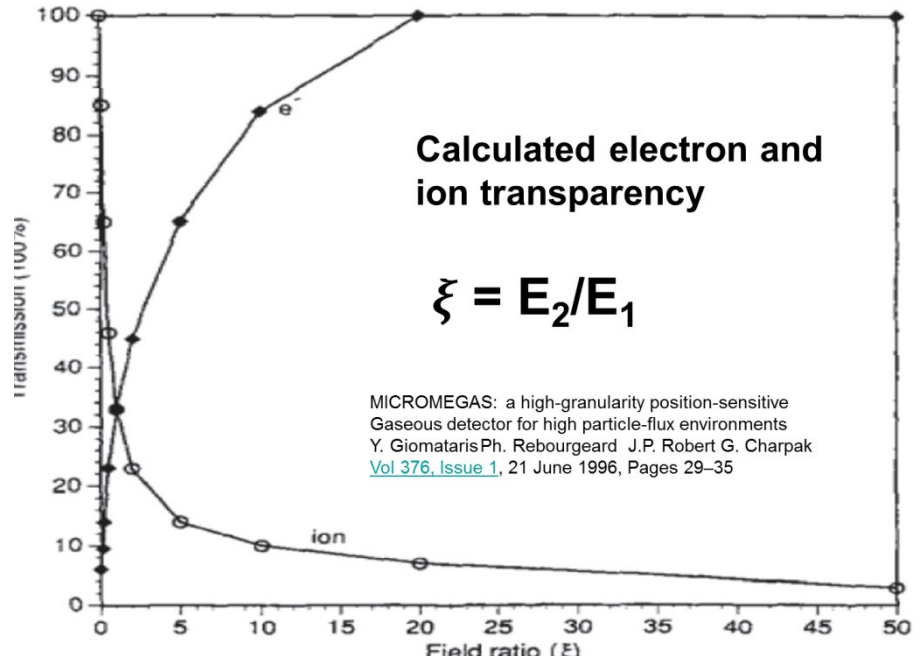
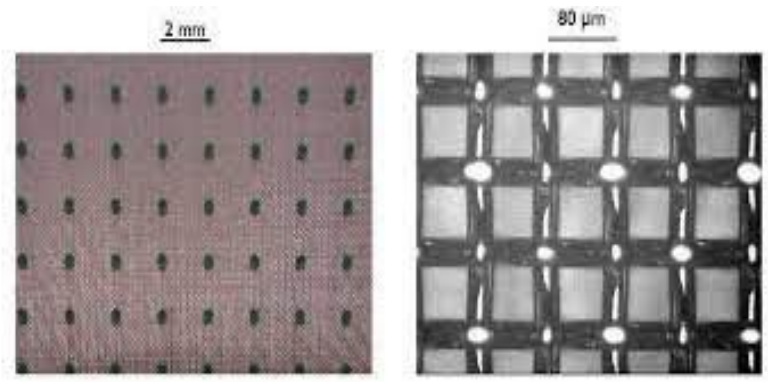
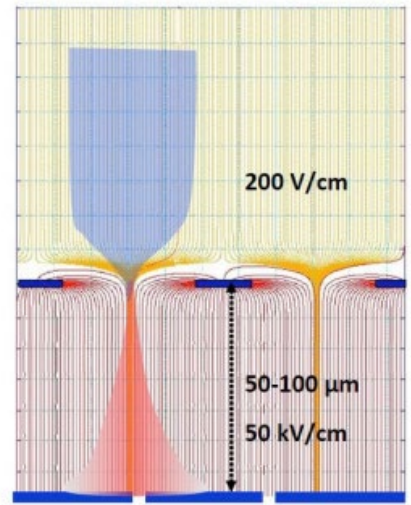
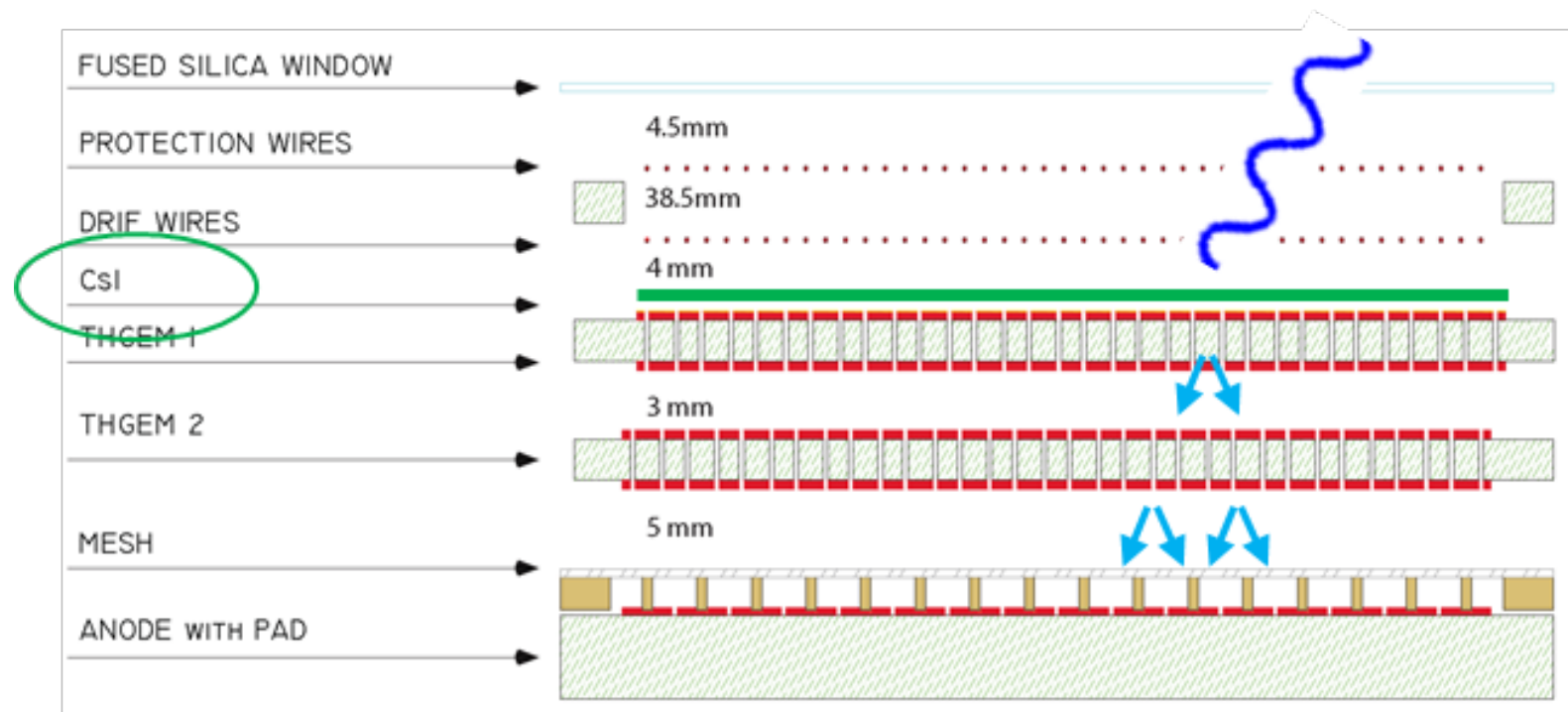
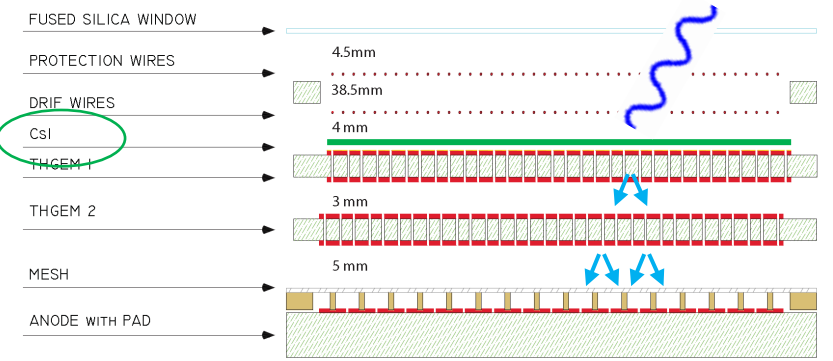


Fig. 5. Calculated electron and ion transparency.





IBF reduction: approx. 3%
Charge splitting processes → Larger Gas Gain

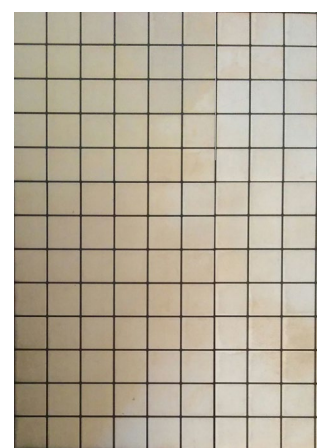
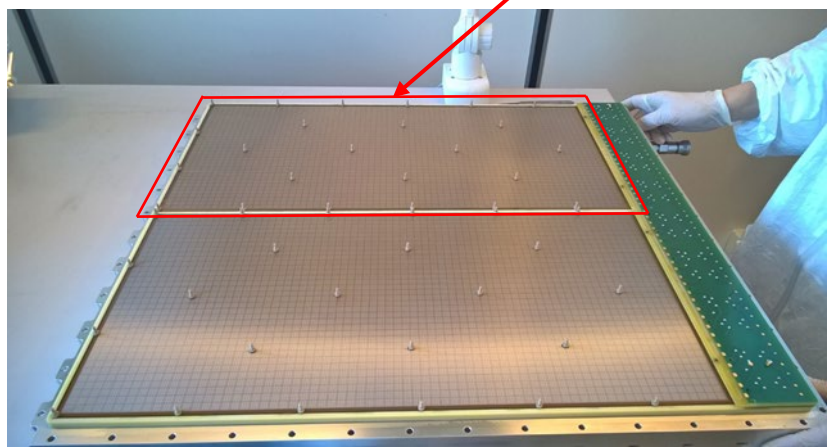
Hybrid detector concept

To simplify the construction requirements a modular architecture has been adopted where one "module" consists of:

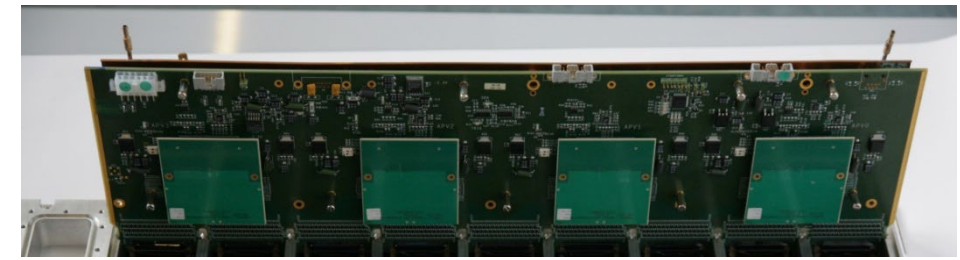
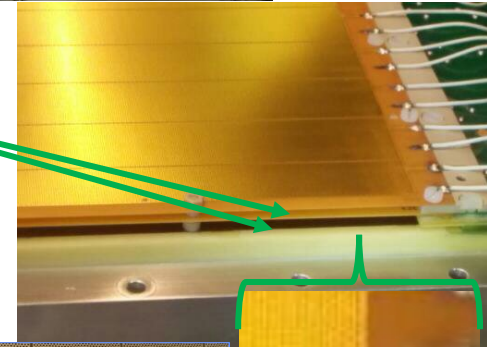
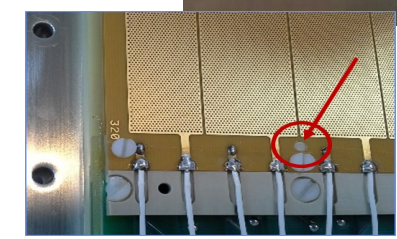
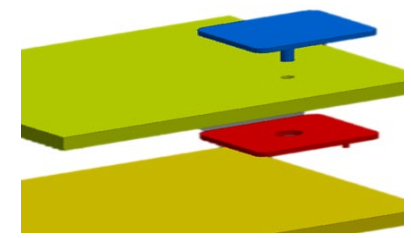
- One 300 mm x 600 mm Bulk Micromegas detector
- Two layers of THGEMs (300 mm x 600 mm) in staggered configuration

Two modules are put side by side to build a 600 mm x 600 mm detector

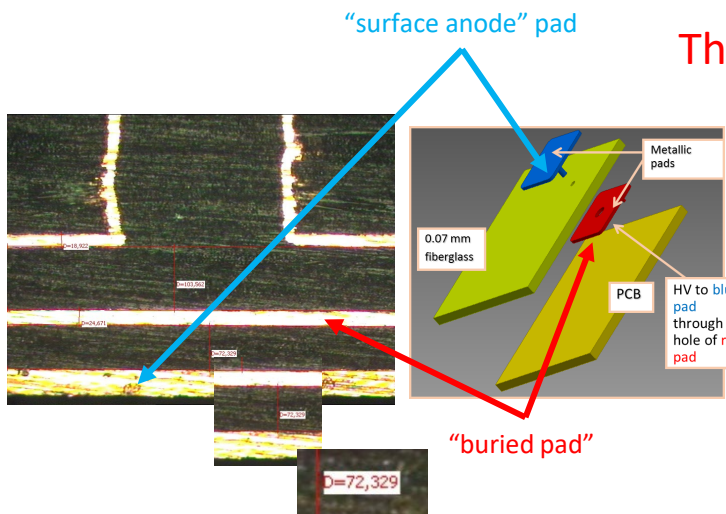
Signal read out via capacitive coupling pad readout and APV25 F/E boards



8mmx8mm pad size
0.5 mm pad spacing



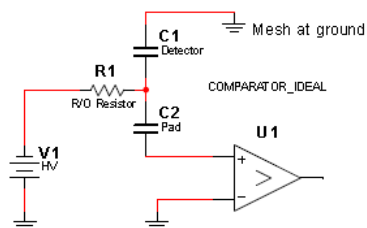
The COMPASS RICH-1 approach



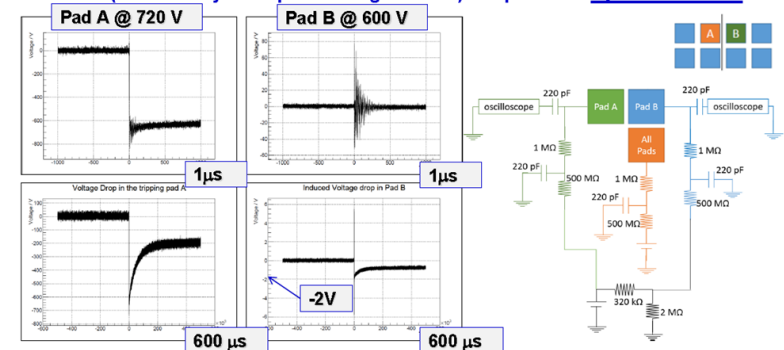
1 Single pad scheme:

Blue pad at HV via individual pad resistor at the PCB rear surface

Red pad: signal induced by RC coupling



Pads A & B (the two adjacent pads being studied) are powered by the same PS

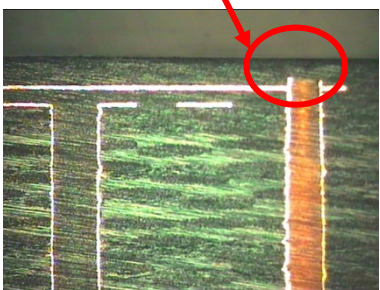


The HV of the non tripping pad is very limited affected:

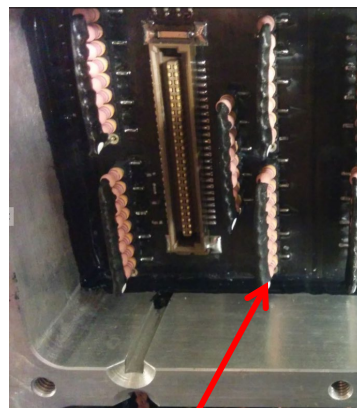
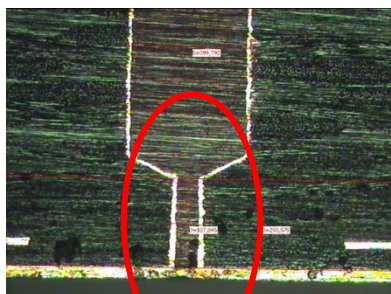
2V drop → ~4% drop in G

R ~ 0.5 GΩ is preserving the non-tripping pads efficient all the time !

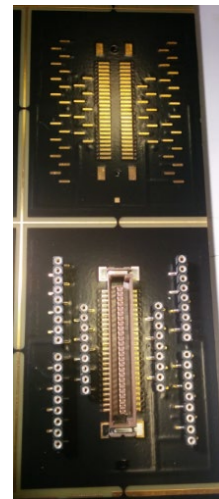
"Via closure" → leakage issue



Mesh at Ground
Pads HV segmentation



Resistor arrays
Connector 8+1 pin



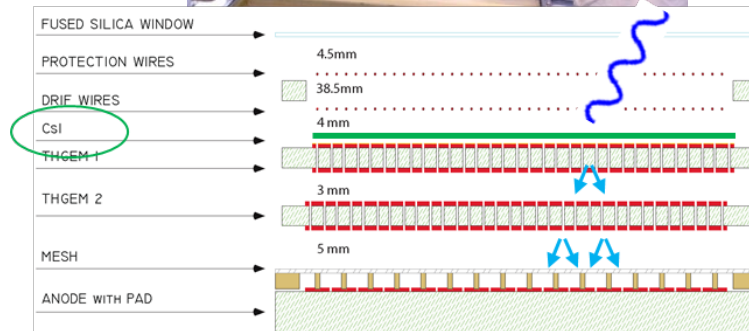
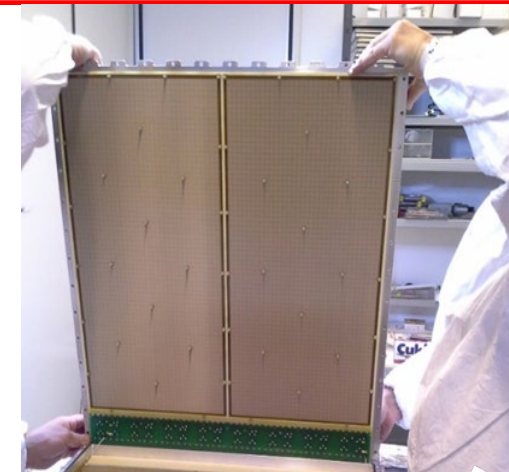
Test of the (4 x 2) 30 x 60 cm² MMs
[in total: 1.4 m², 19040 pads]:

-2 pads with shorts

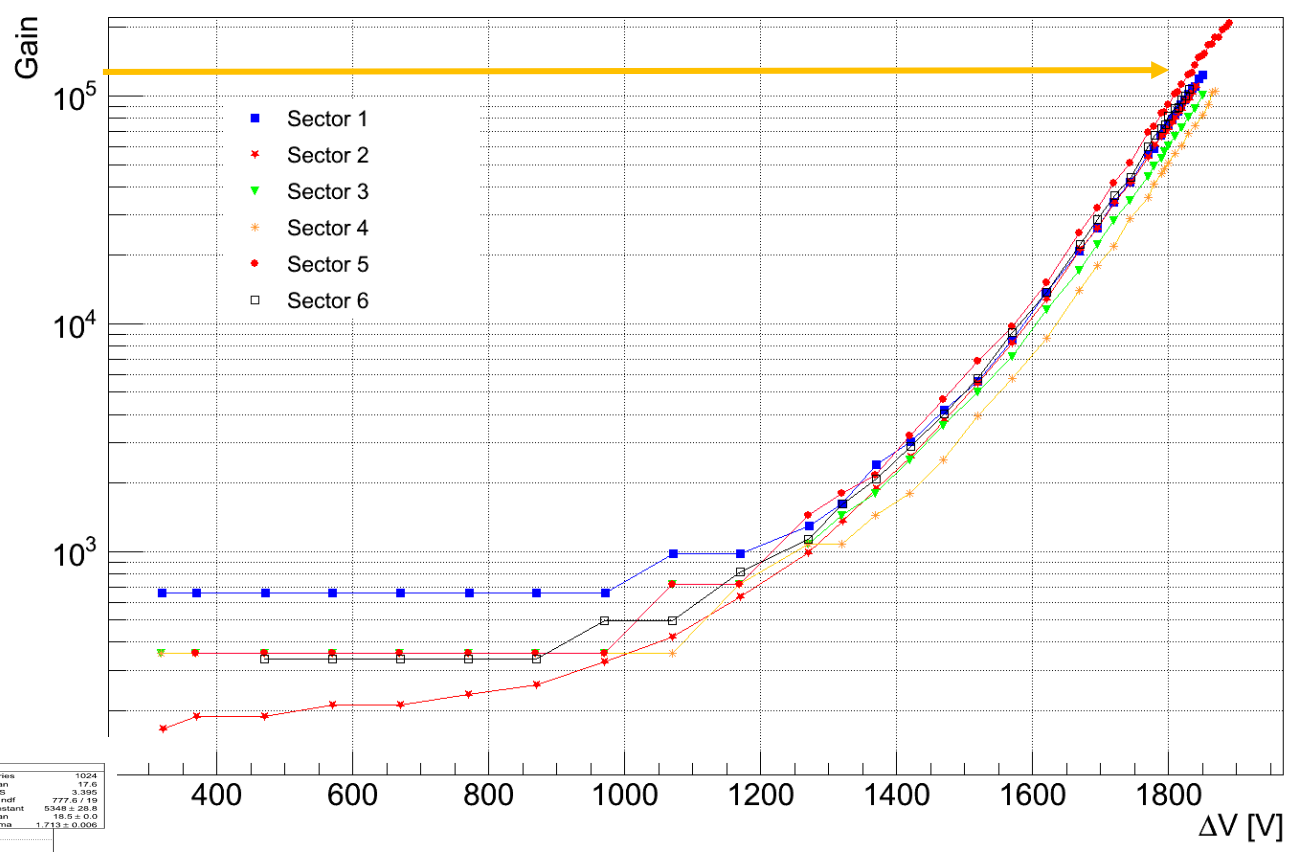
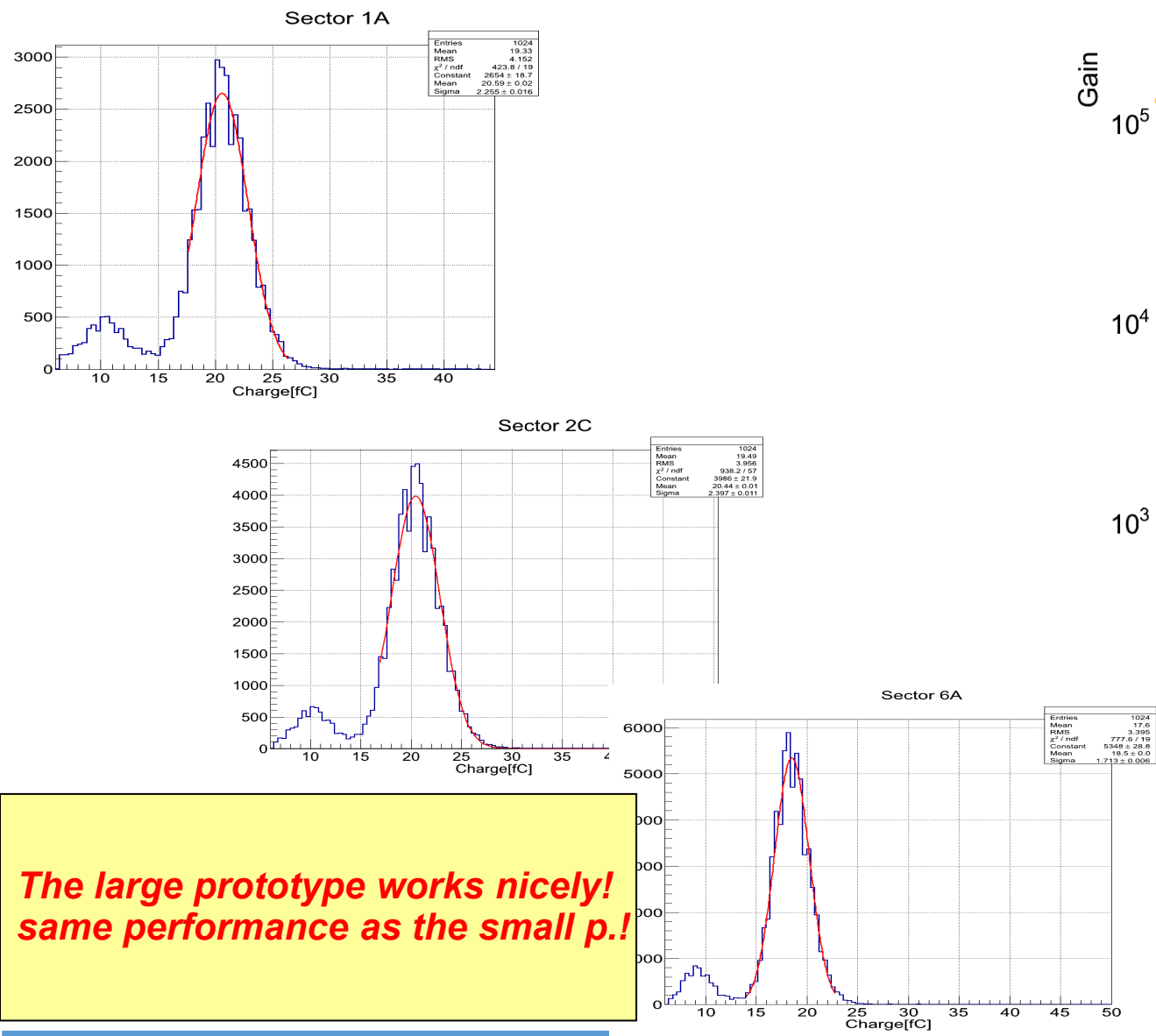
-1 pad: no read-out connection

→ 3 bad pads out of 19040 before installation

"Z drilling controlled via" → planarity issue

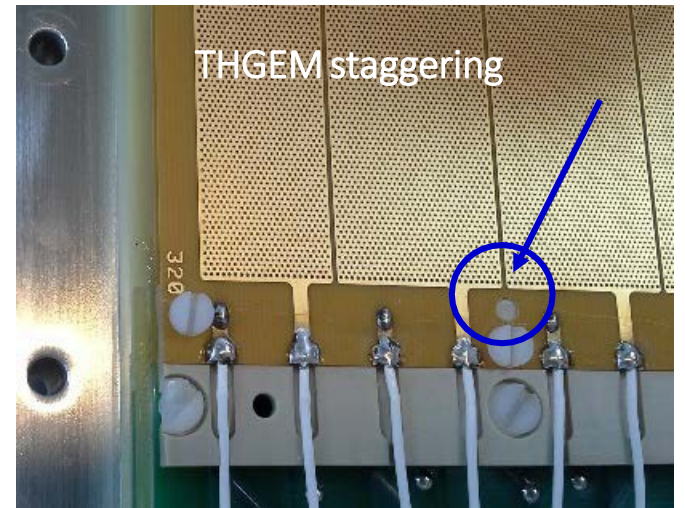
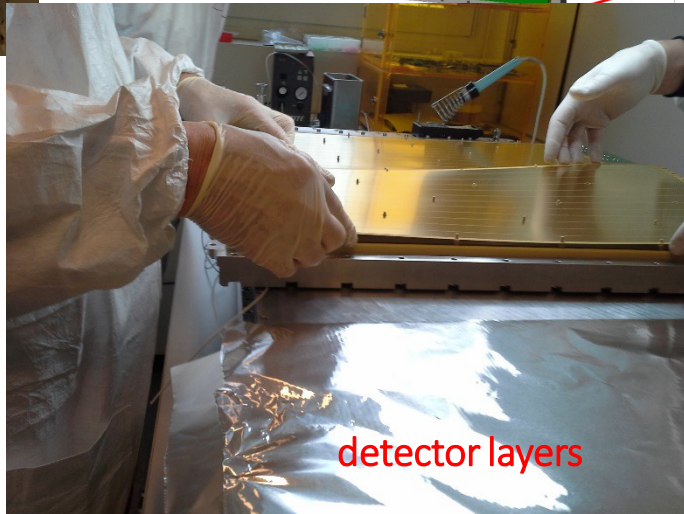
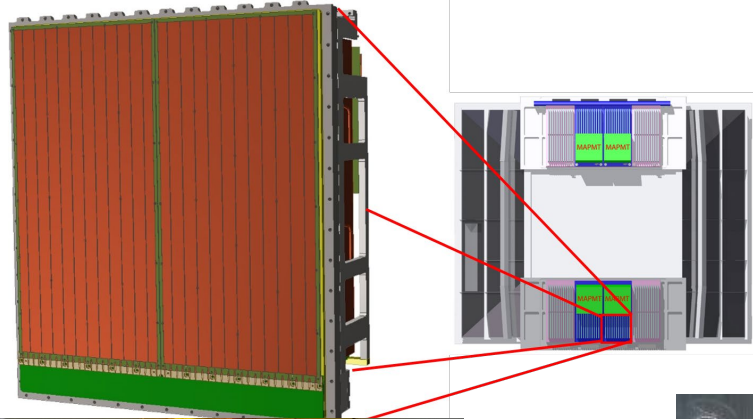
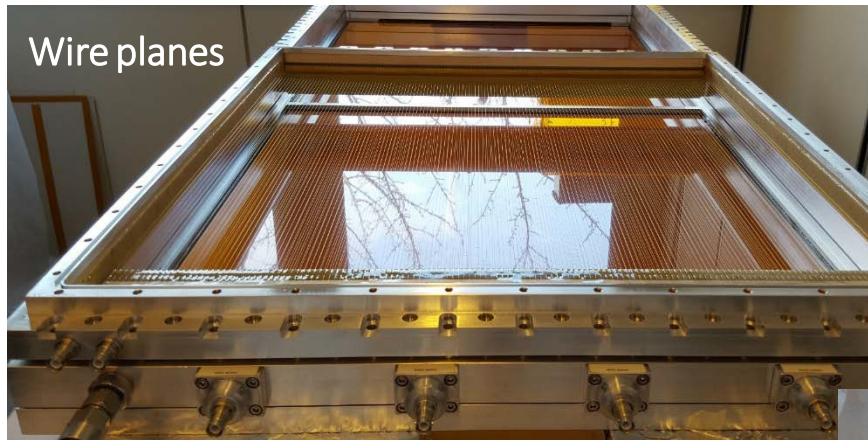
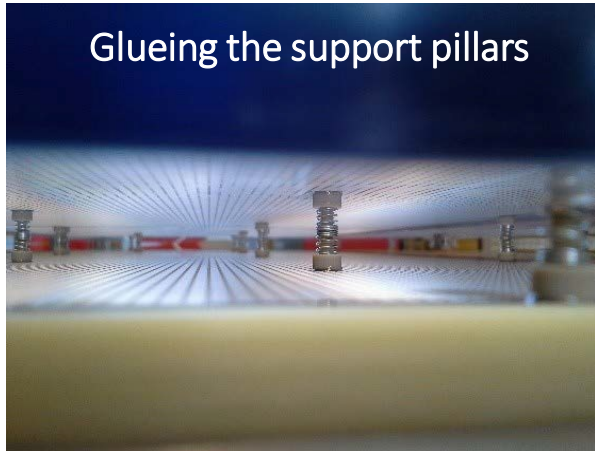
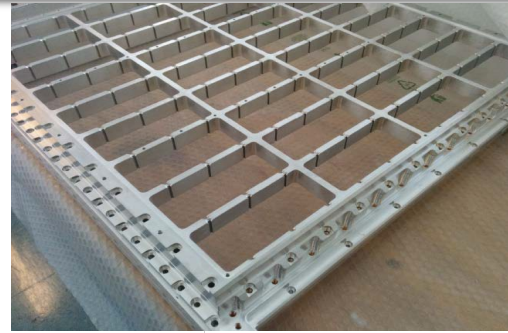


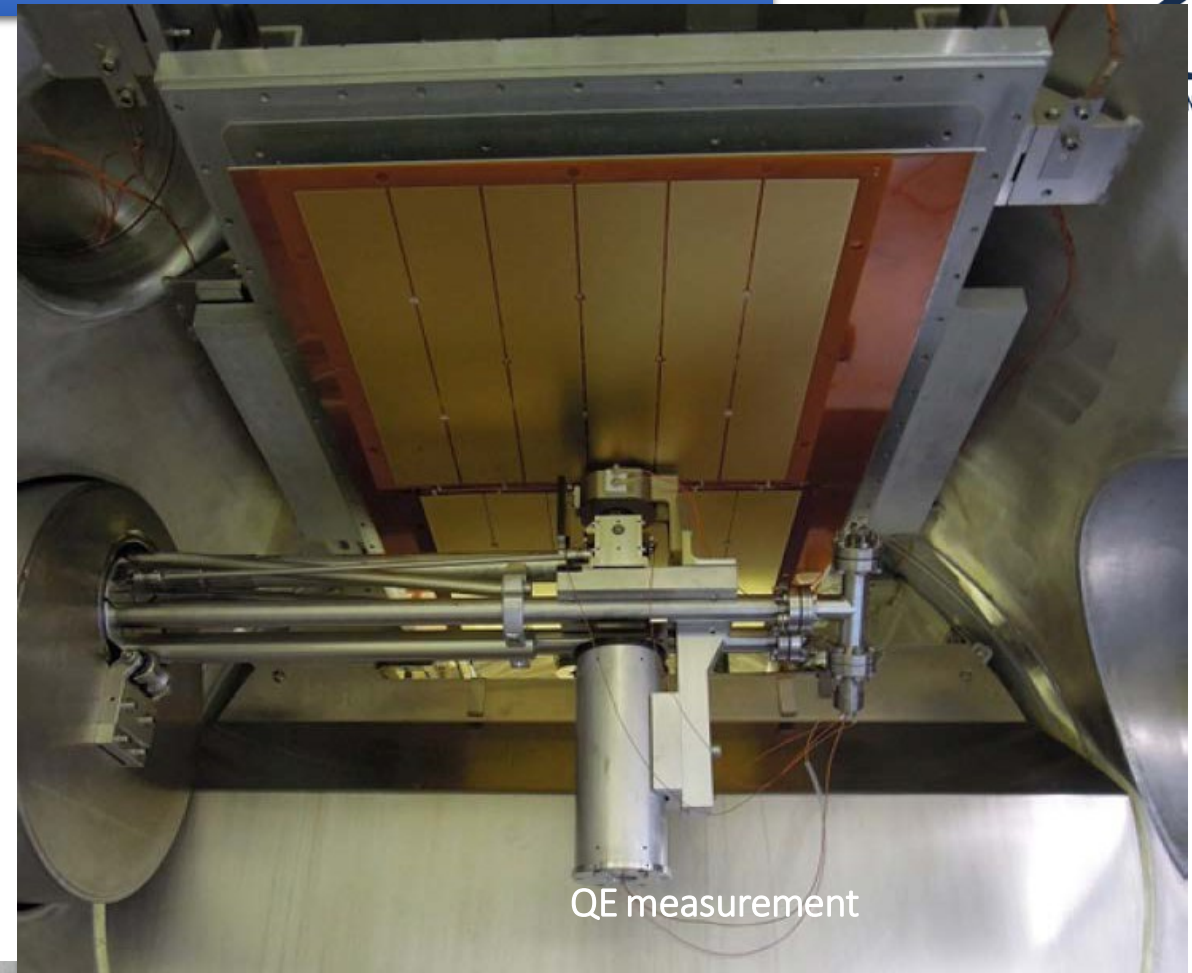
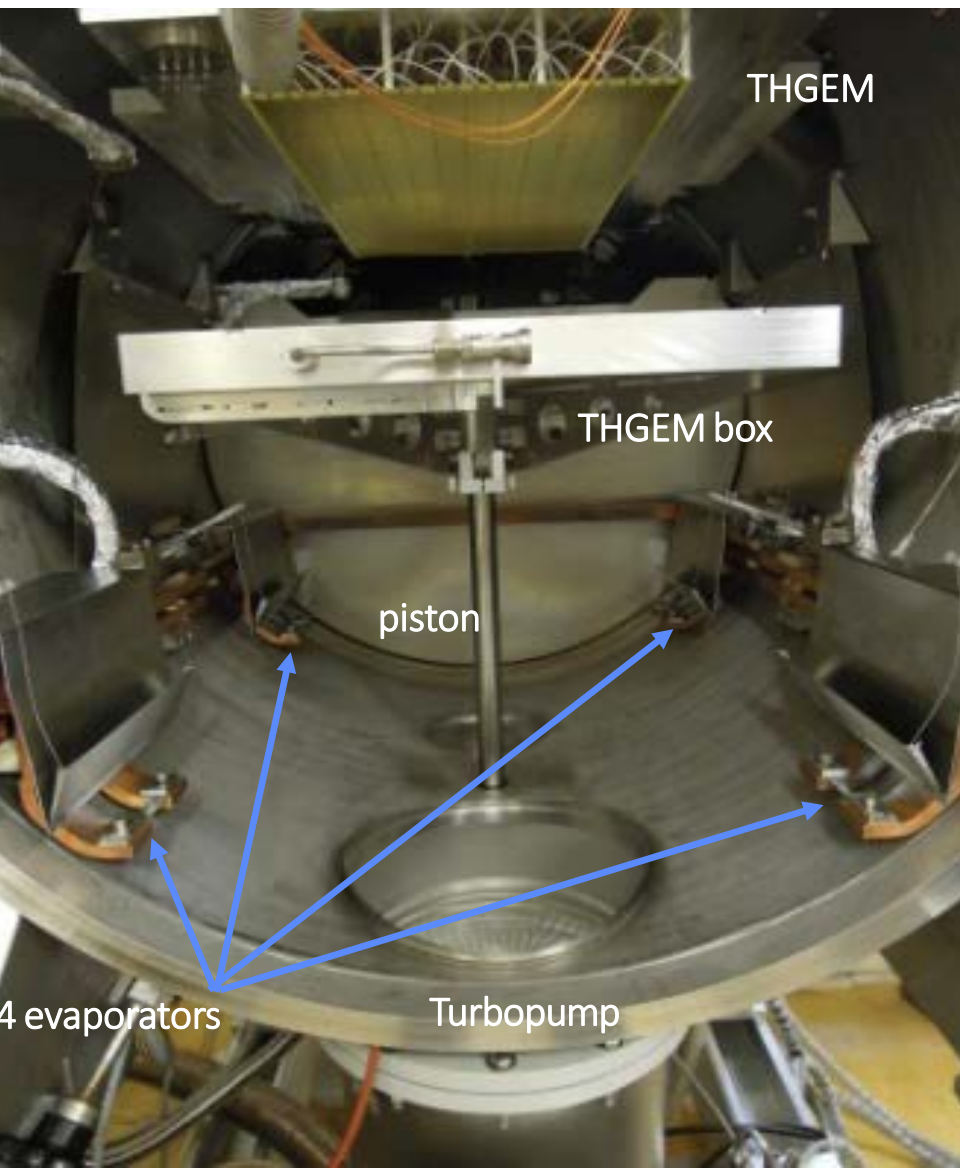
ΔV Scan of Sectors of a large THGEM. VMESH = 640V. Gas used Ar:CH4 30:70.

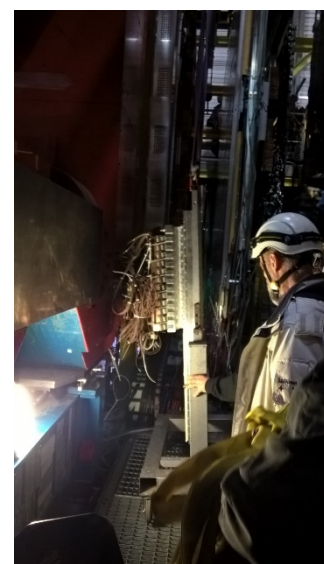
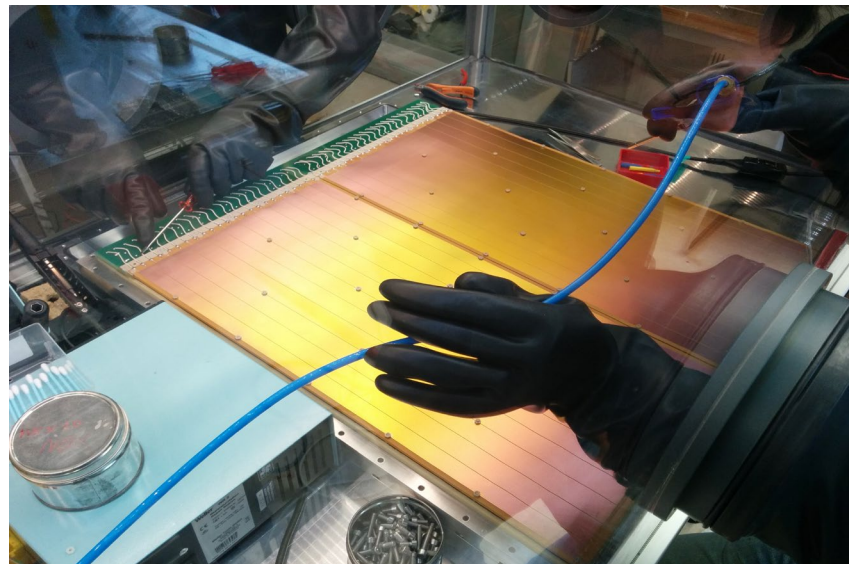


**The large prototype works nicely!
same performance as the small p.!**

Source ^{55}Fe
Pre-Amplifier stage Cremat CR110 (spark protection circuit installed)+Ortec Amplifier + MCA

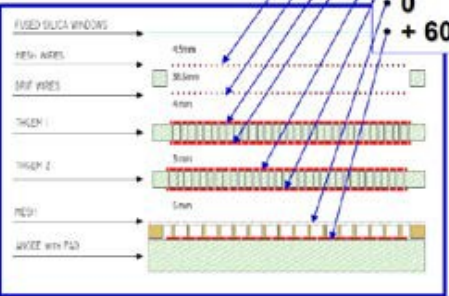




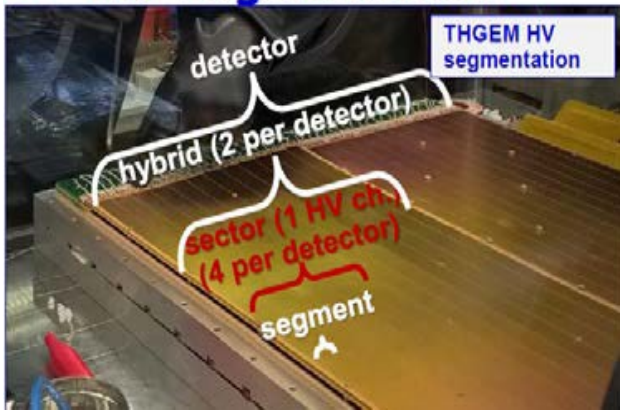


Typical HV values

- 300 V
- 3400 V
- 3200 V
- 2000 V
- 1700 V
- 500 V
- 0
- + 600 V



HV segmentation

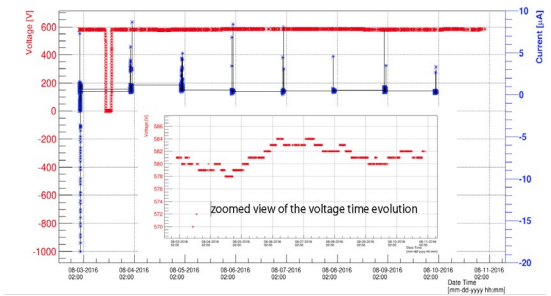


Gain stability vs P, T:

- $G = G(V, T/P)$
- Enhanced in a multistage detector
- $\Delta T = 1^\circ\text{C} \rightarrow \Delta G \approx 12\%$
- $\Delta P = 5 \text{ mbar} \rightarrow \Delta G \approx 18\%$

THE WAY OUT:

- Compensate T/P variations by V
- Gain stability better than 10%



In total 136 HV channels with correlated values



Hardware, commercial by CAEN Custom HV control system

- Custom-made (C++, wxWidgets)
- Compliant with COMPASS DCS (slow control)
- "OwnScale" to fine-tune for gain uniformity
- V, I measured and logged at 1 Hz
- Autodecrease HV if needed (too high spark-rate)
- User interaction via GUI
- Correction wrt P/T to preserve gain stability

HV Status

PD5				PD6			
O(R,F,D): 0, 0, 0				O(R,F,D): 0, 0, 0			
On: 0 Set: 104				On: 0 Set: 104			
PD5S0	PD5S1	PD5S2	PD5S3	PD6S0	PD6S1	PD6S2	PD6S3
O/R: 0	O/R: 0	O/R: 0	O/R: 0	O/R: 0	O/R: 0	O/R: 0	O/R: 0
O/I: 0	O/I: 0	O/I: 0	O/I: 0	O/I: 0	O/I: 0	O/I: 0	O/I: 0
Set: 104	Set: 104	Set: 105	Set: 105	Set: 104	Set: 104	Set: 104	Set: 104
On: 0	On: 0	On: 0	On: 0	On: 0	On: 0	On: 0	On: 0
PD1S0	PD1S1	PD1S2	PD1S3	PD2S0	PD2S1	PD2S2	PD2S3
O/R: 0	O/R: 0	O/R: 0	O/R: 0	O/R: 0	O/R: 0	O/R: 0	O/R: 0
O/I: 0	O/I: 0	O/I: 0	O/I: 0	O/I: 0	O/I: 0	O/I: 0	O/I: 0
Set: 105	Set: 105	Set: 100	Set: 100	Set: 104	Set: 104	Set: 105	Set: 105
On: 0	On: 0	On: 0	On: 0	On: 0	On: 0	On: 0	On: 0
PD1				PD2			
O(R,F,D): 0, 0, 0				O(R,F,D): 0, 0, 0			
On: 0 Set: 104				On: 0 Set: 104			

Sector Info

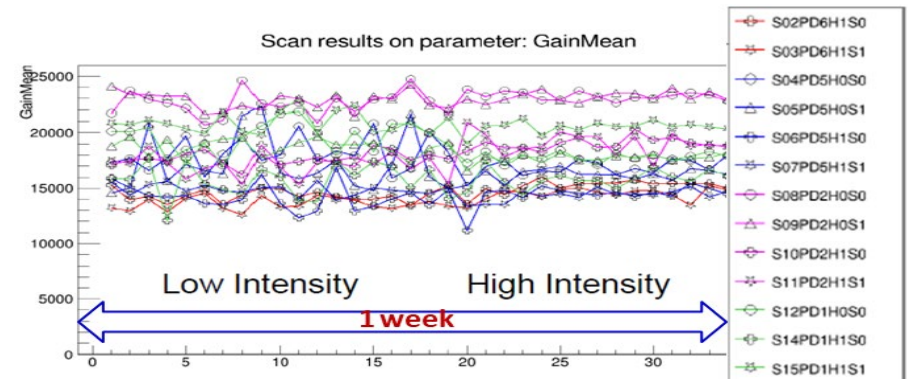
Change to Sector: PD1S1

Name	Nom	OwnSc	SetSc	PTSc	Voltage	Electrode	VSet	VMon	IMon	NspR
UDrift	400	1.000	1.040	1.000	187.20	UDrift	3517.57	3517.34	0.000	0
UTHgem1	1250	1.000	1.060	0.993	1316.01	UT1Top	3427.37	3426.67	0.000	0
ETrans1	1000	1.000	1.060	1.000	530.00	UT1Bot	2111.37	2111.06	0.004	0
UTHgem2	1200	1.000	1.060	0.993	1263.37	UT2Top	1793.37	1793.07	0.001	0
ETrans2	1000	1.000	1.060	1.000	530.00	UT2Bot	530.00	529.96	0.001	0
UMesh	600	1.000	1.060	0.993	631.68	UMesh	631.68	631.79	2.628	0

CageDrift: 3517 V, 0.002 uA, 0 SpR CageTop: 3330 V, 0.000 uA, 0 SpR FieldWires: 0 V, 0.000 uA, 0 SpR

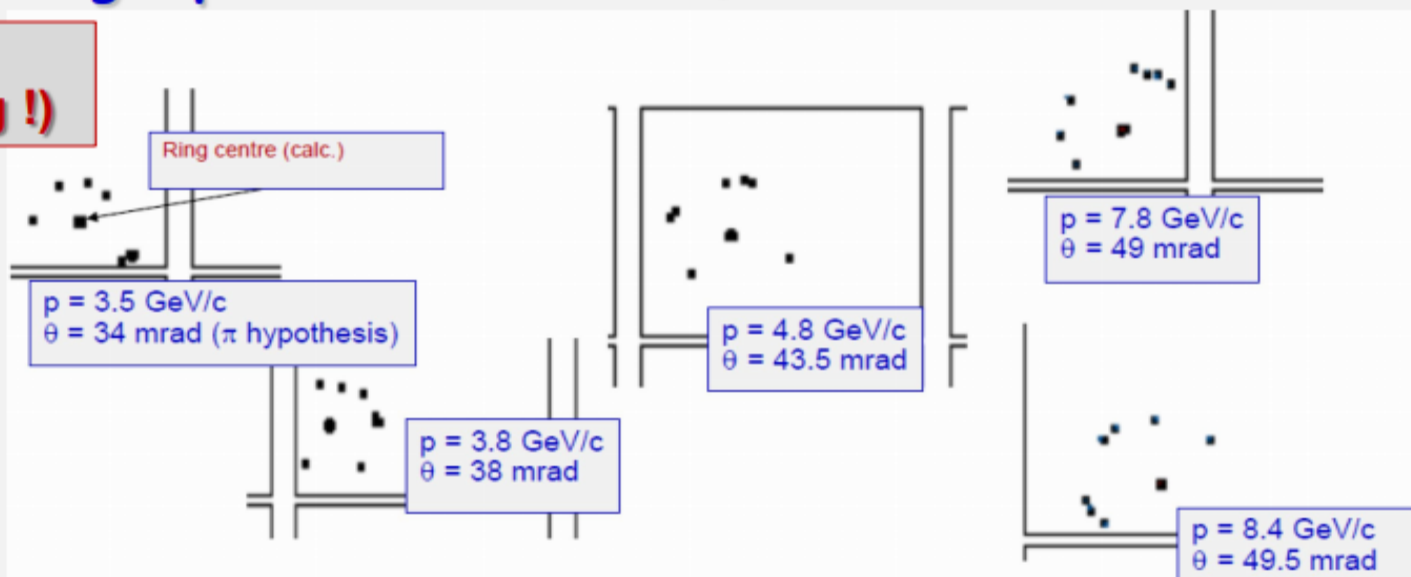
Status: OnState: 0, ScaleSet: 105%, QualityFactors: Recent: 0, Former: 0, Daily: 0

Regular updates [s]: 10 Update



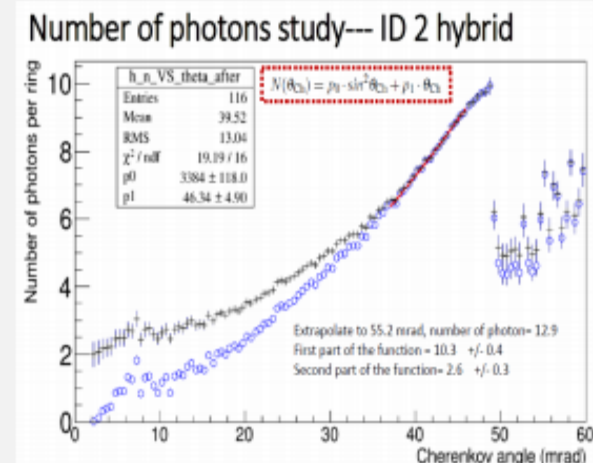
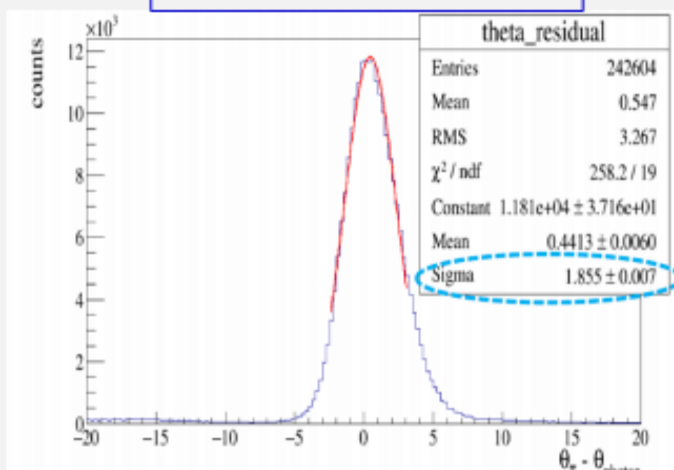
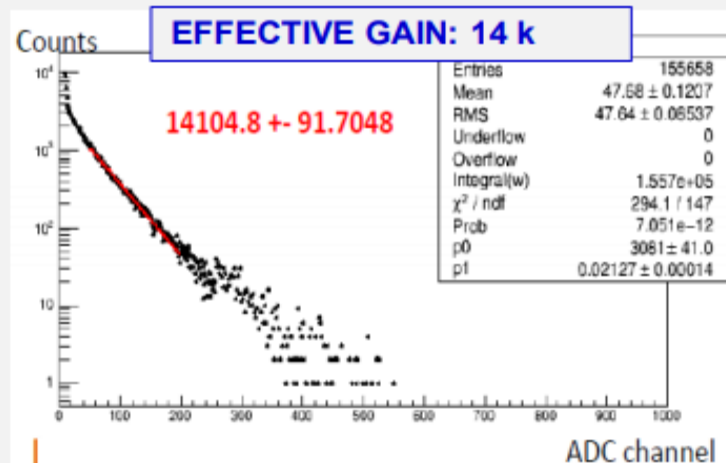
The novel gaseous single photon detectors of COMPASS RICH

**EVENT DISPLAY
(no image filtering !)**



Resolution: 1.8 mrad

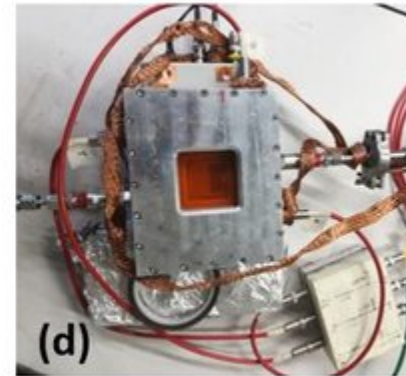
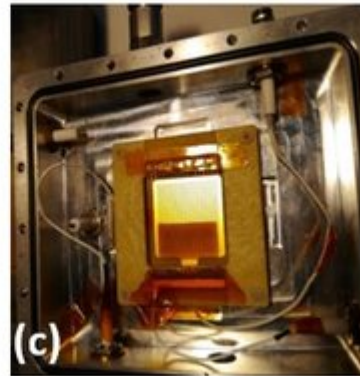
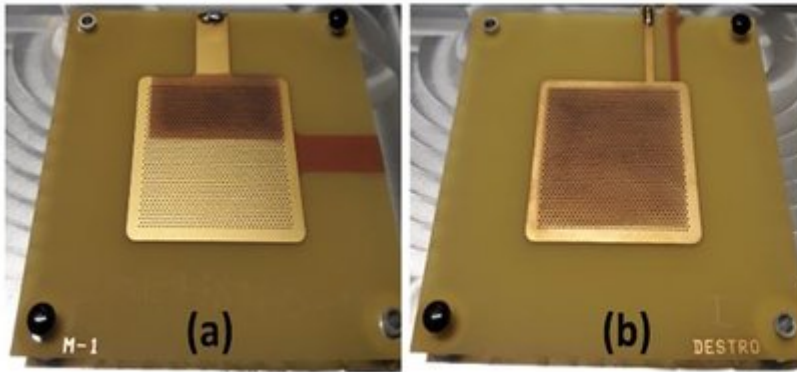
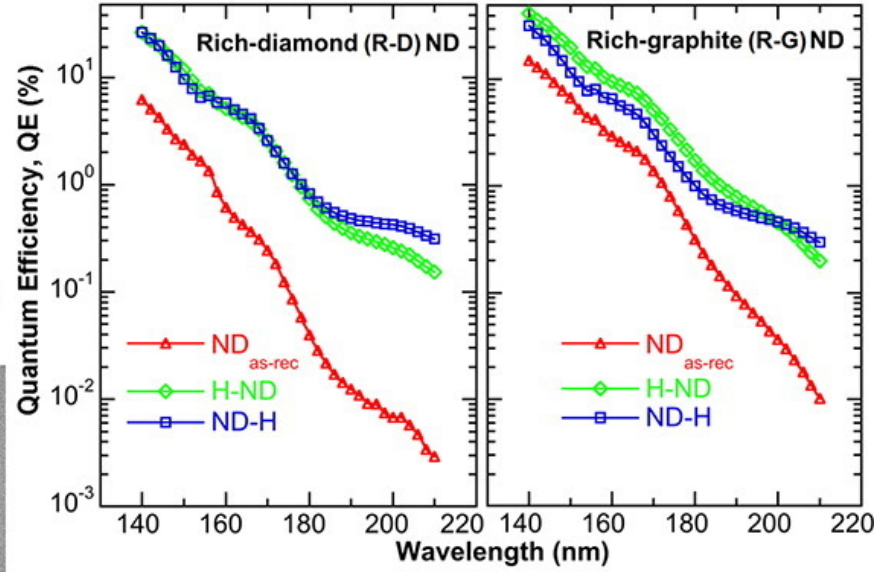
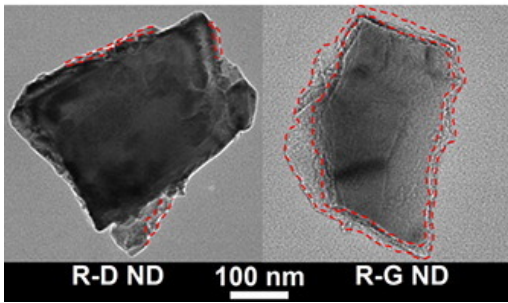
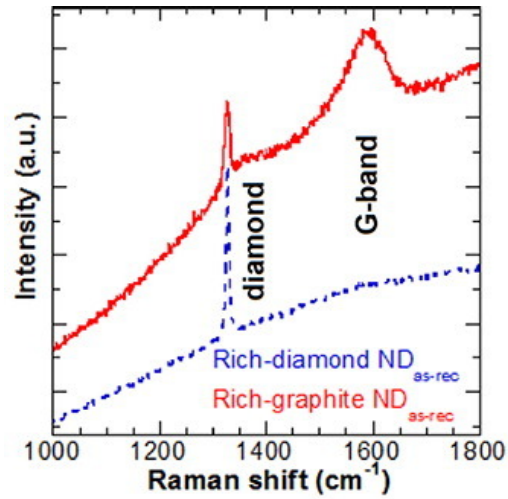
n. of photons/ring : 10-12 ($\beta \rightarrow 1$)



The MPGD-based photon detectors has proven to be an alternative to MPWC + CsI

Technological achievement

- single photon detection is accomplished by MPGDs in an experiment
- THGEMs used in an experiment
- resistive MM used in an experiment
- MPGD gain > 10k in an experiment
- gain stable at 6% level over months



The MPGD-based photon detectors has proven to be a valid alternative to MPWC + CsI

stable gain and large gain, fine resolution, good number of detected photoelectrons

Technological achievement

- single photon detection is accomplished by MPGDs in an experiment
- THGEMs used in an experiment
- resistive MM used in an experiment
- MPGD gain > 10k in an experiment
- gain stable at 6% level over months

Thanks!