

SMR 1302 - 10

WINTER SCHOOL ON LASER SPECTROSCOPY AND APPLICATIONS
19 February - 2 March 2001

***Characterization of visible, UV and NIR
femtosecond pulses***

Lecture II

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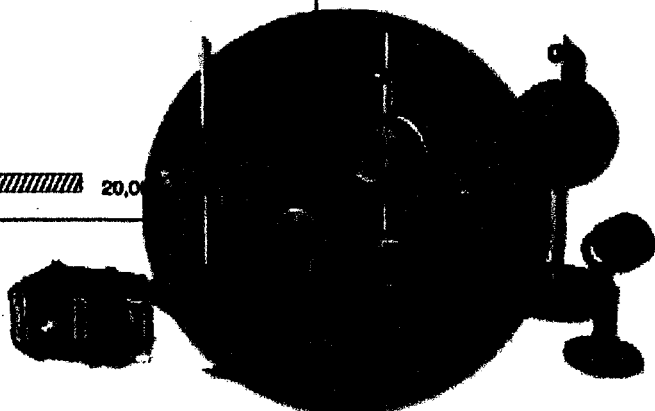
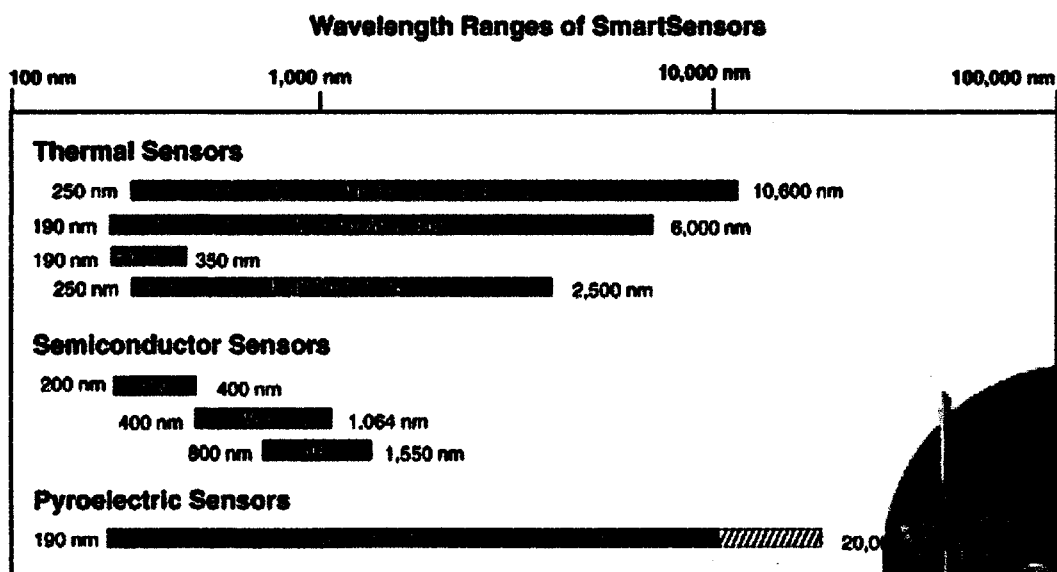
These are preliminary lecture notes, intended only for distribution to participants.

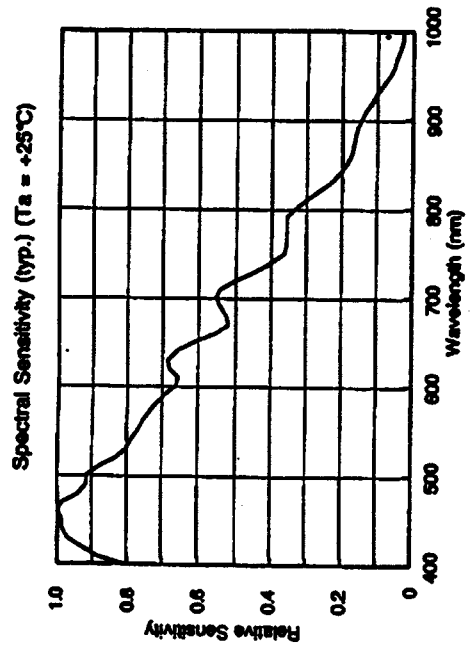
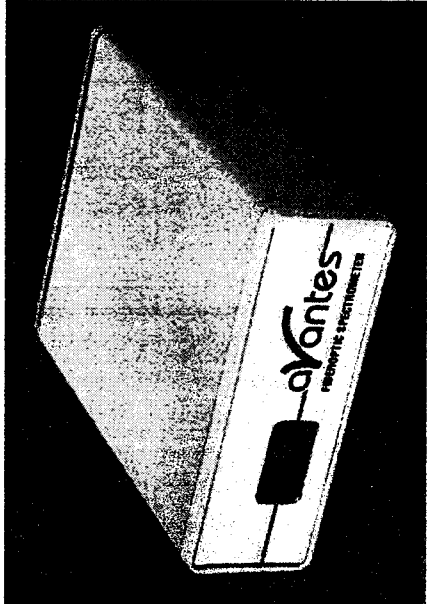
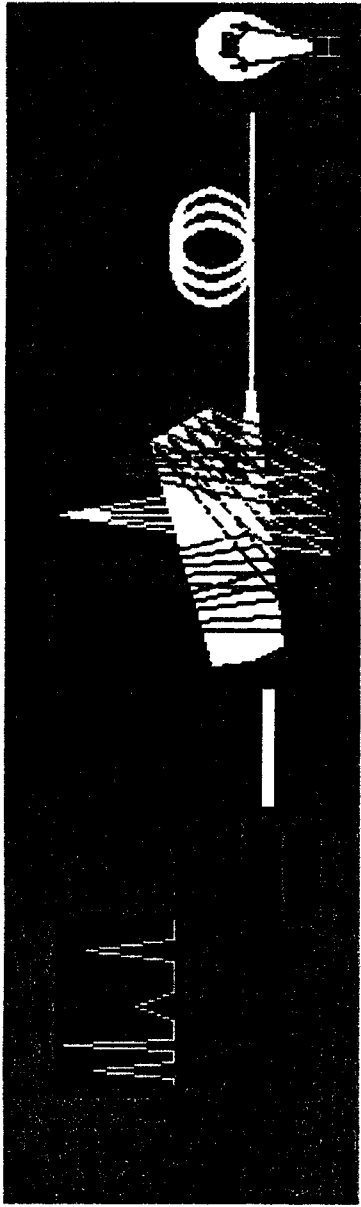
Characterization of visible, UV and NIR femtosecond pulses

- pulse energy
- spectral distribution
- beam profile
- intensity autocorrelation
- fringe resolved autocorrelation
- crosscorrelation
- FROG: frequency resolved optical gating
- SPIDER: spectral phase interferometry for direct electric-field reconstruction
- concluding remarks

WINTER SCHOOL ON LASER SPECTROSCOPY AND APPLICATIONS (19 February - 2 March 2001) E. Riedle

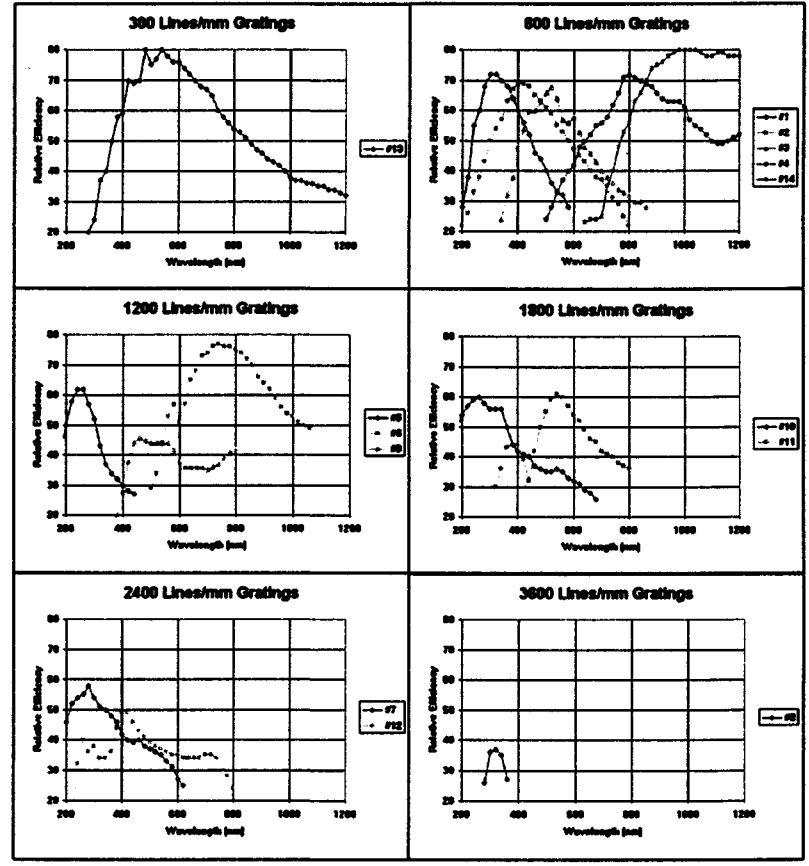
Powermeter for Femtosecond Pulses ???





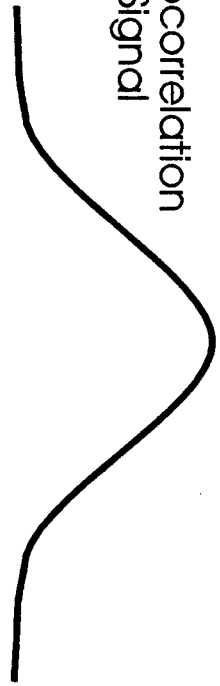
Avantes

Grating Efficiency Curves



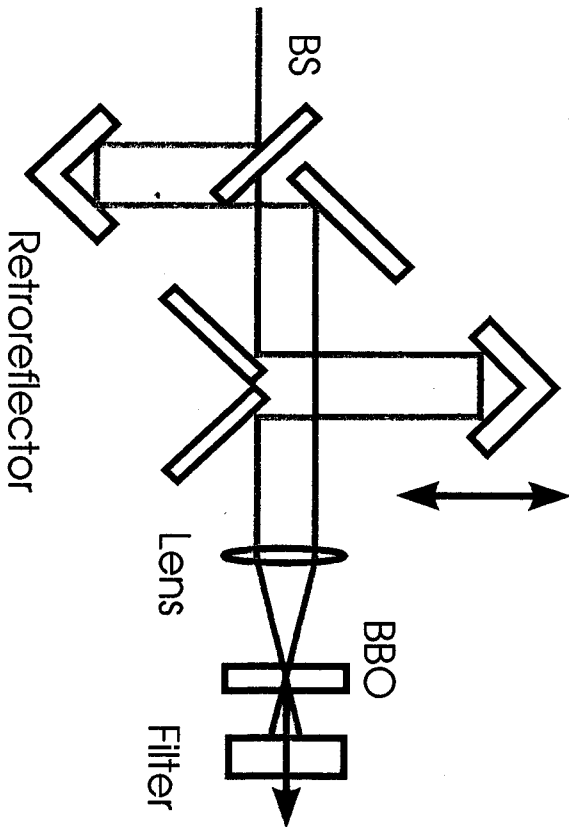
The Principle of Autocorrelation

Autocorrelation
Signal



Relative Pulse positions

Autocorrelator Schematic



Autocorrelation Measurements

Correlation function:
$$A_{cor}(\tau) = \int_{-\infty}^{\infty} I_{reference}(t) \cdot I_{sample}(t - \tau) dt$$

The shape of a sample pulse is measured by observing the overlap with a shorter reference pulse at variable delay. A nonlinear detector records the signal.

Such a reference pulse is often not available and the sample pulse itself is used.

Intensity AC:
$$A_{AC}(\tau) = \int_{-\infty}^{\infty} I_{sample}(t) \cdot I_{sample}(t - \tau) dt$$

Pulse:
$$E(t) = \mathcal{E}(t) \cdot e^{i\varphi(t)} \cdot e^{i\omega_1 t}$$

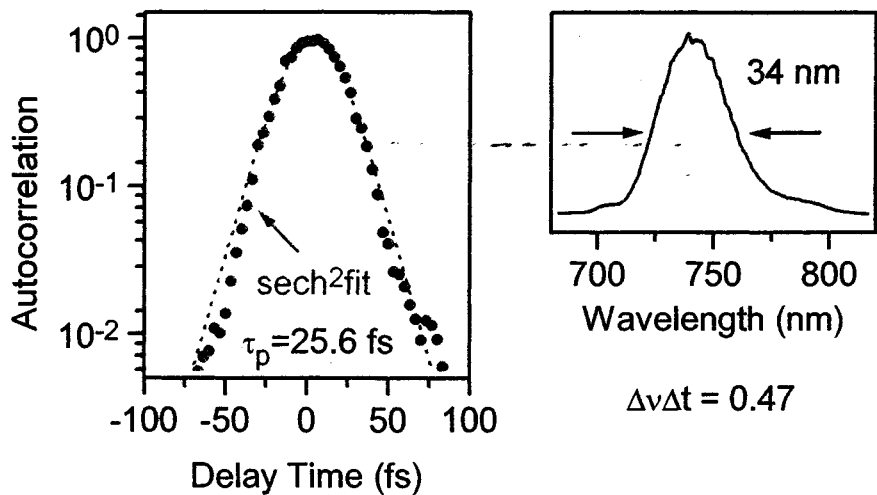
$\mathcal{E}(t)$ slowly varying envelope of the electric field

$\varphi(t)$ slowly varying phase

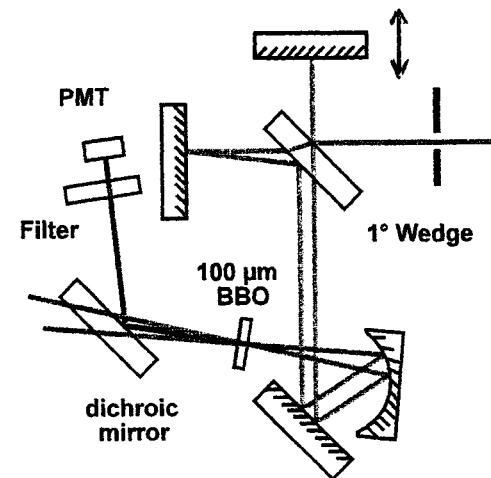
ω_1 carrier frequency of laser

By suitable experimental observation all fast variations of the field and all spatial dependencies are averaged. Only the terms pertaining to $\mathcal{E}(t)$ are recorded.

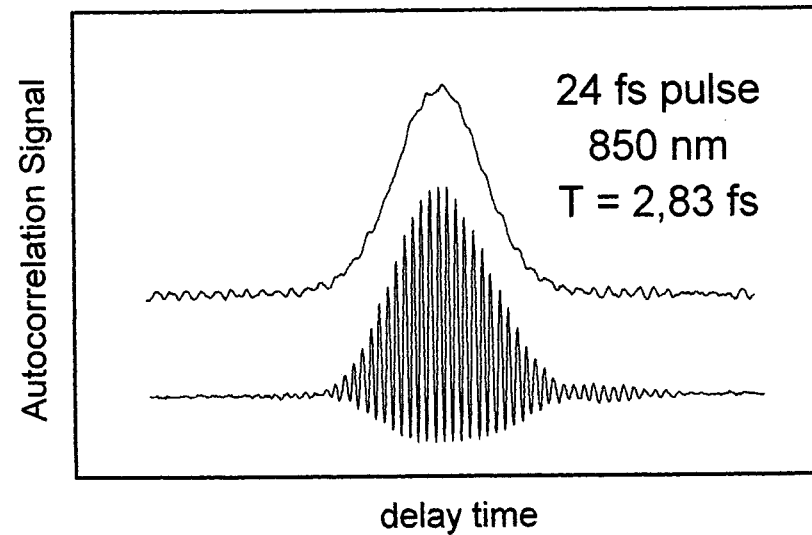
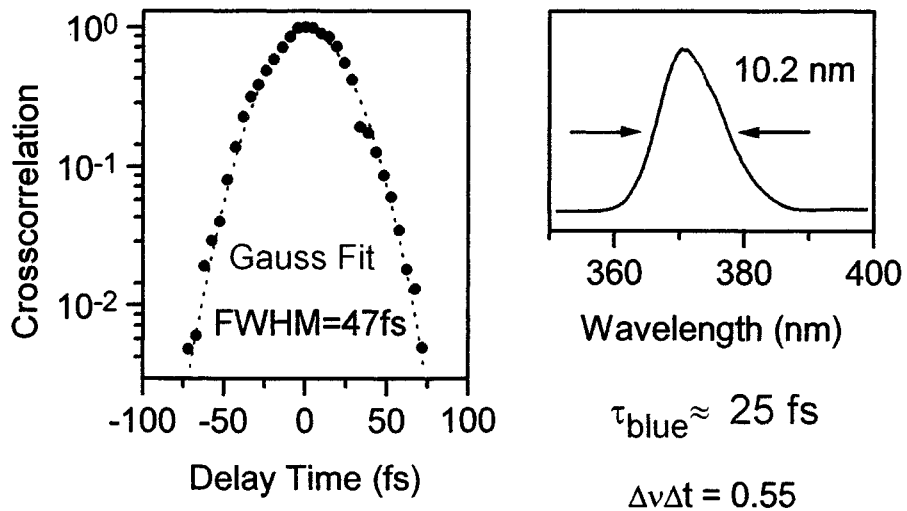
Fundamental



Autocorrelation measurement of ultrashort pulses



25 fs Second Harmonic Generation



In a Michelson interferometer (with second harmonic detection) there is no complete averaging and the phase of the electric field has to be taken into account:

$$A_{AC;interferometric}(\tau) = \int_{-\infty}^{\infty} \left\{ \left[E_1(t-\tau) + E_2(t) \right]^2 \right\} dt$$

$$A_{AC}(\tau) = A(\tau) + \text{Re} \left\{ 4\tilde{B}(\tau) e^{i\omega_1\tau} \right\} + \text{Re} \left\{ 2\tilde{C}(\tau) e^{2i\omega_1\tau} \right\}$$

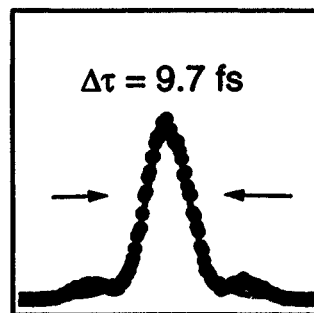
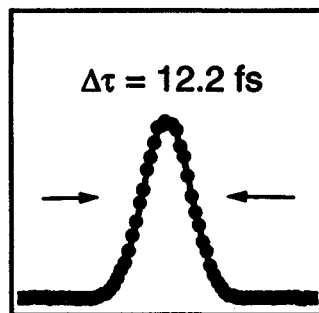
$$A(\tau) = \int_{-\infty}^{\infty} dt \left\{ \mathcal{E}_1^4(t-\tau) + \mathcal{E}_2^4(t) + 4\mathcal{E}_1^2(t-\tau)\mathcal{E}_2^2(t) \right\} \quad \text{"background" + "envelope"}$$

$$\tilde{B}(\tau) = \int_{-\infty}^{\infty} dt \left\{ \mathcal{E}_1(t-\tau)\mathcal{E}_2(t) \left[\mathcal{E}_1^2(t-\tau) + \mathcal{E}_2^2(t) \right] e^{i[\phi_1(t-\tau) - \phi_2(t)]} \right\} \quad \text{"fringes"}$$

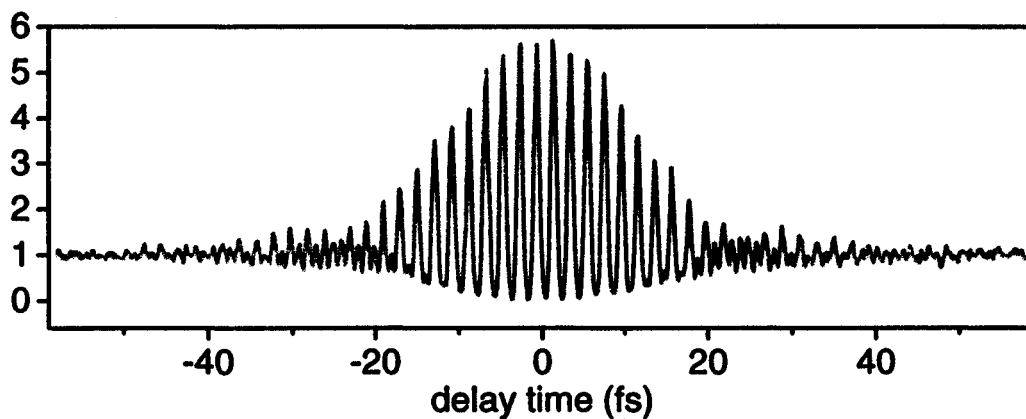
$$\tilde{C}(\tau) = \int_{-\infty}^{\infty} dt \left\{ \mathcal{E}_1^2(t-\tau) \cdot \mathcal{E}_2^2(t) \cdot e^{2i[\phi_1(t-\tau) - \phi_2(t)]} \right\} \quad \text{"higher order terms"}$$

interferometric autocorrelation / fringe resolved

10 fs pulses at 630 nm



$\Delta\lambda = 63 \text{ nm}$
 $\Delta\nu\Delta\tau = 0.5$



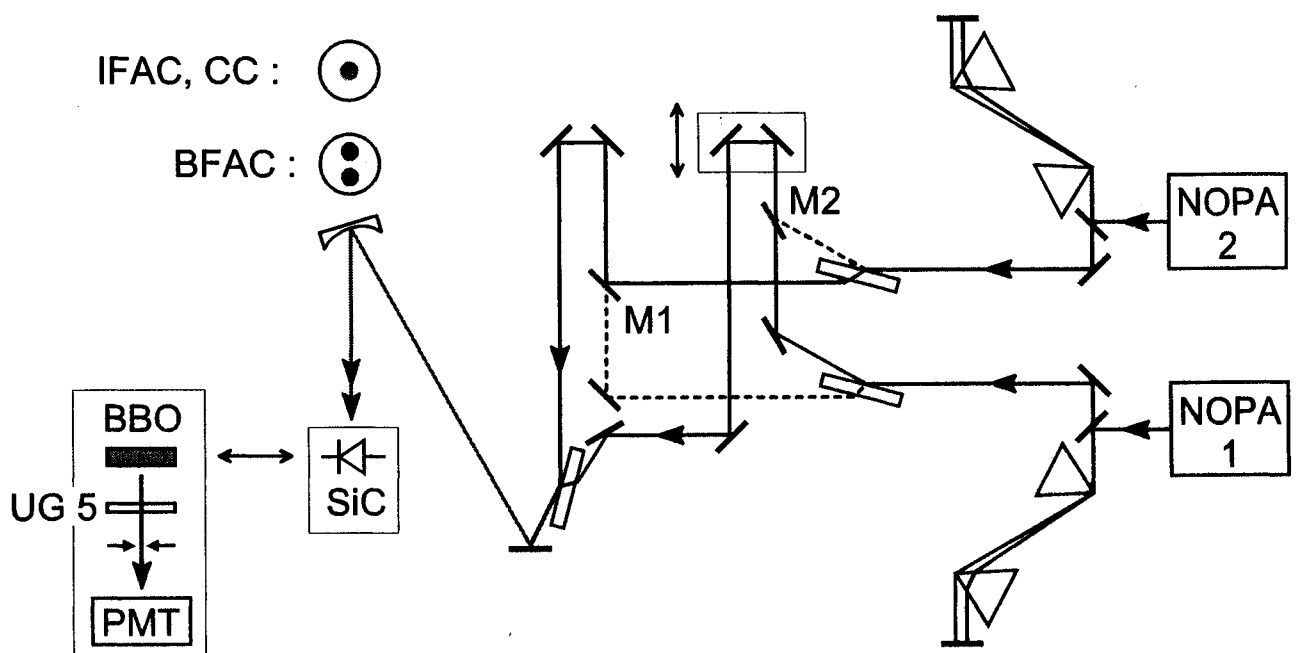
Pulse Characterization by Photodiodes

- AlGaAs LED: quadratic dependence at 800 nm, AC of 80 fs-pulses
D. T. Reid, M. Padgett, C. McGowan, W. E. Sleat, and W. Sibbett, Opt. Lett. **22**, 233 (1997)
- GaAsP photodiode: quadratic dependence at 800 nm, AC of 6 fs-pulses
J. K. Ranka, A. L. Gaeta, A. Baltuska, M. S. Pshenichnikov, D. A. Wiersma, Opt. Lett. **22**, 1345 (1997)
- SiC photodiode: quadratic dependence at 497 nm, AC of 90 and 480 fs-pulses
T. Feurer, A. Glass, R. Sauerbrey, Appl. Phys. B. **65**, 295 (1997)

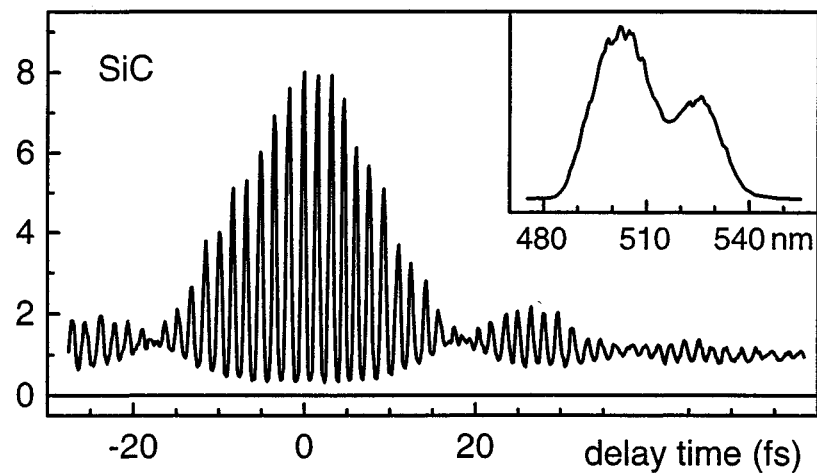
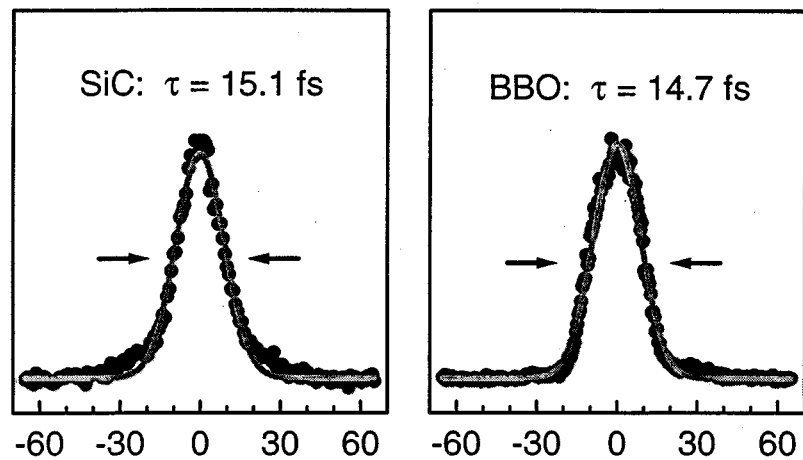
Advantages :

- no phase matching \Rightarrow no angle tuning, broad acceptance bandwidth
- no polarization dependence
- no photomultiplier needed
- robust and compact
- readily available and inexpensive

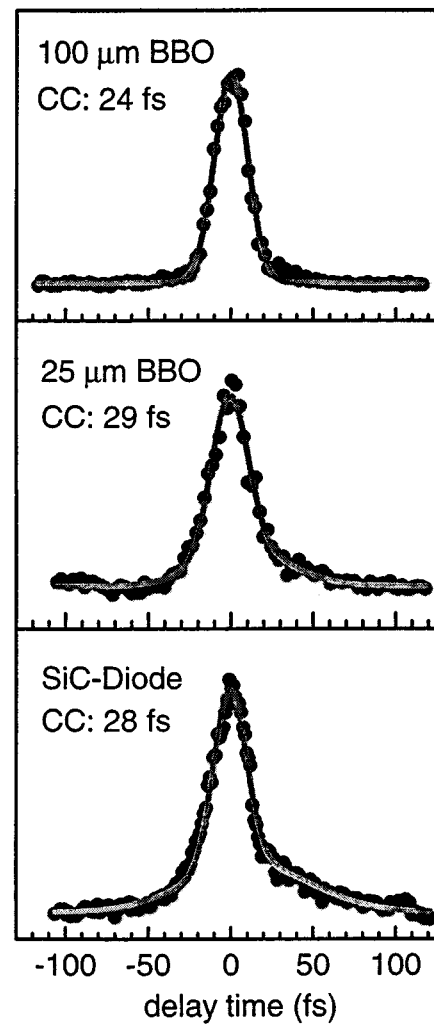
Experimental Setup



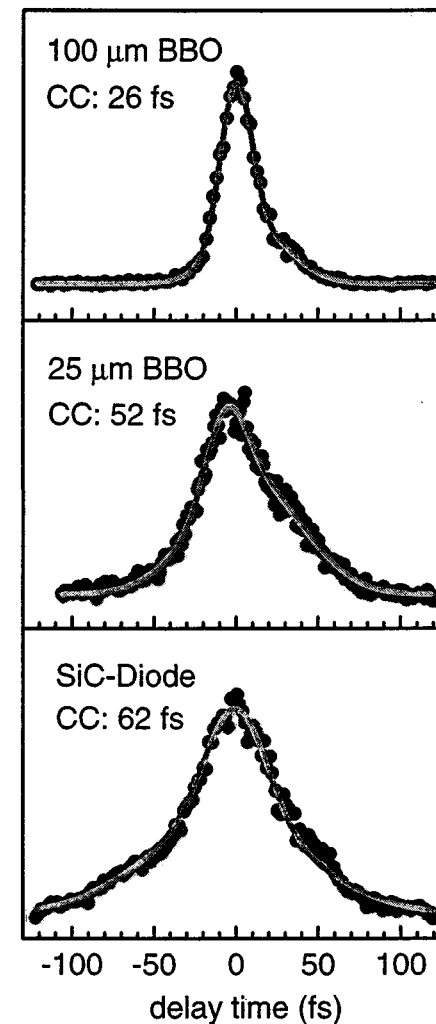
Autocorrelation Traces at 510 nm



Unchirped Pulses

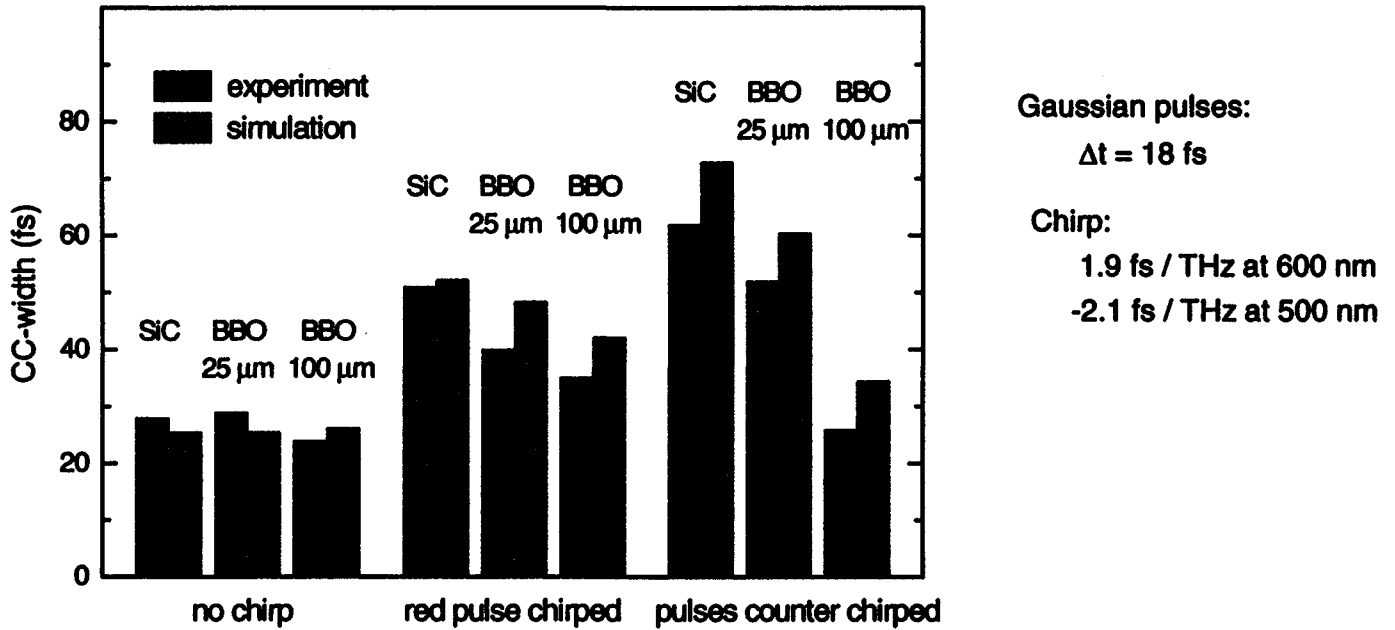


Counter Chirped Pulses



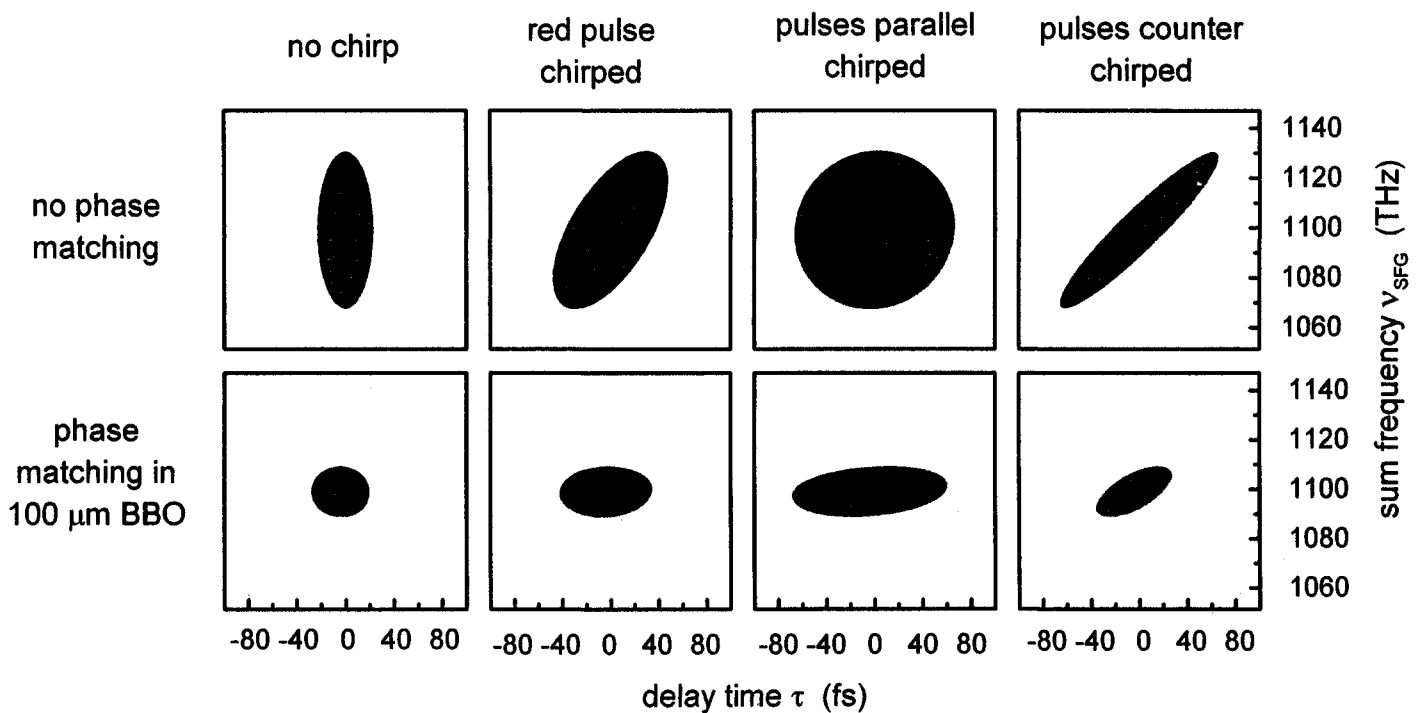
$$I_{SF}(\omega_{SF}, \tau) \propto \left| \int \tilde{E}_1(\omega_{SF} - \omega) \tilde{E}_2(\omega) \exp(i\omega\tau) \exp\left(i\frac{\Delta k L}{2}\right) \text{sinc}\left(\frac{\Delta k L}{2}\right) d\omega \right|^2 *$$

$$I_{CC}(\tau) = \int I_{SF}(\omega_{SF}, \tau) d\omega_{SF}$$



* A. M. Weiner, IEEE J. Quantum Electron. 19, 1276 (1983), SVA-appr.

Frequency Resolved Sum Frequency Signal



Conclusions

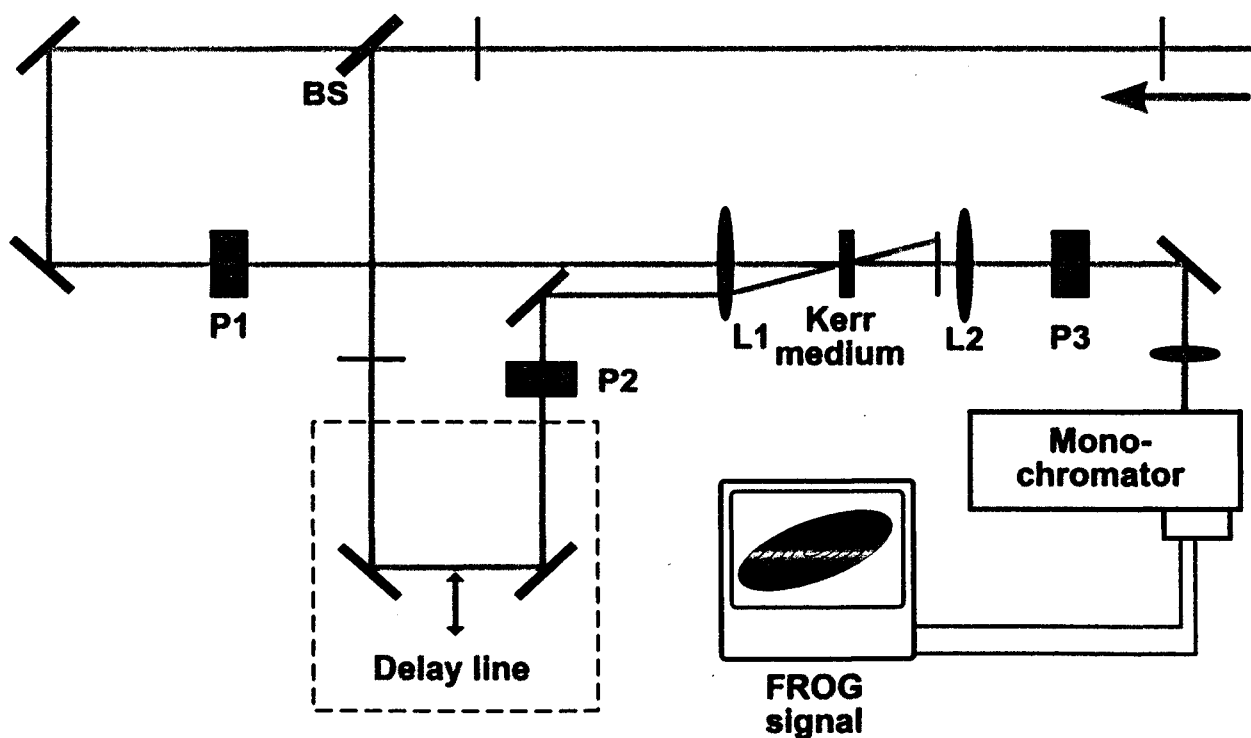
- Bandwidth limitation of $\leq 100 \mu\text{m}$ nonlinear crystals can result in observed crosscorrelations much shorter than the real ones
- Reliable and simple auto- and crosscorrelation measurements of sub-20 fs visible pulses in SiC photodiodes (two-photon conductivity)
- Crosscorrelation at the sample position of the spectroscopic experiment

S. Lochbrunner, P. Huppmann, and E. Riedle

Crosscorrelation measurements of ultrashort visible pulses: comparison between nonlinear crystals and SiC photodiodes

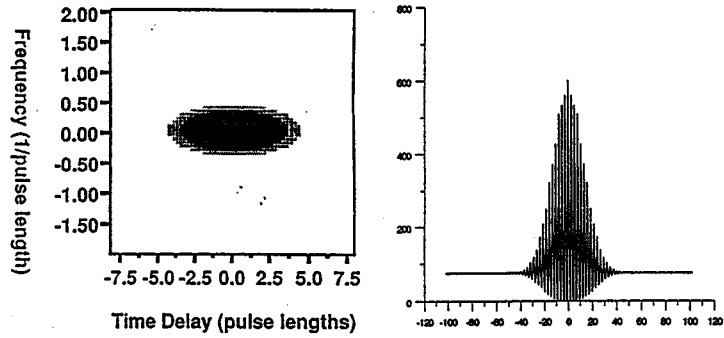
Opt. Commun. **184**, 321-328 (2000)

Frequency Resolved Optical Gating Schematic setup for Kerr (polarization) FROG



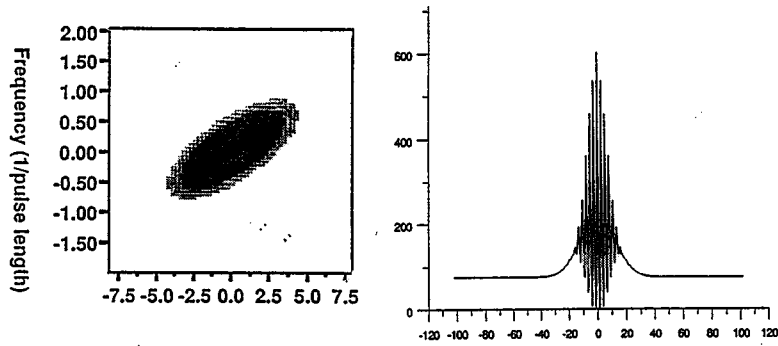
FREQUENCY-RESOLVED OPTICAL GATING (FROG)

Transform-Limited = No Chirp

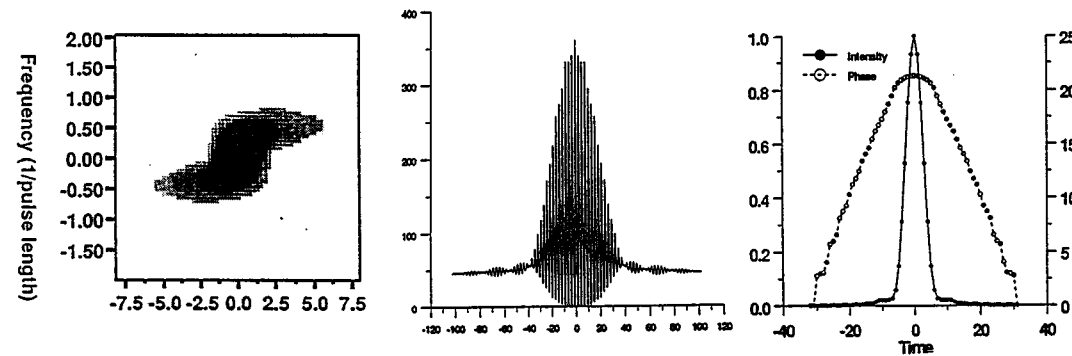


K.W. DeLong,
D.J. Kane,
R. Trebino
(Sandia National
Laboratories,
Livermore, CA)

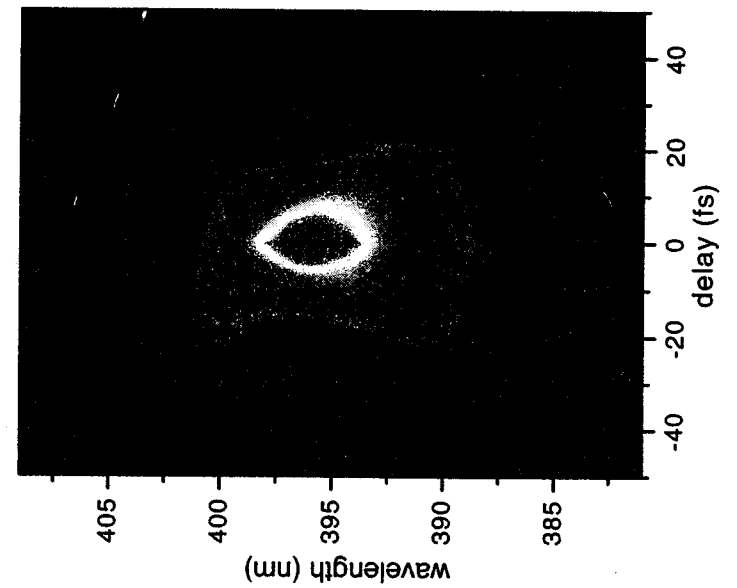
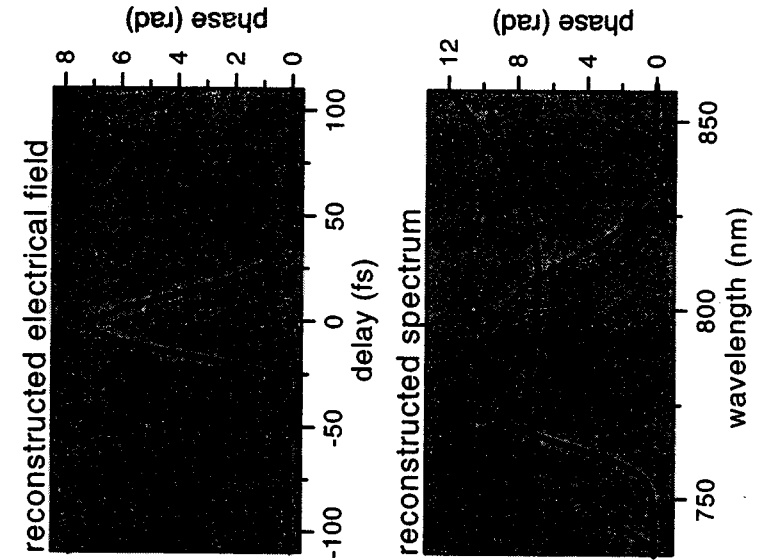
Linear Chirp = Quadratic Phase



Spectral Quartic Phase



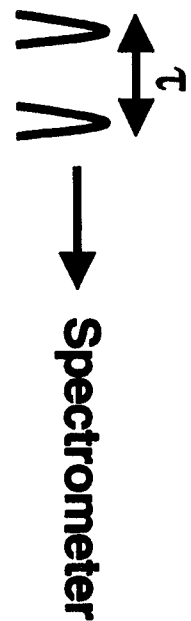
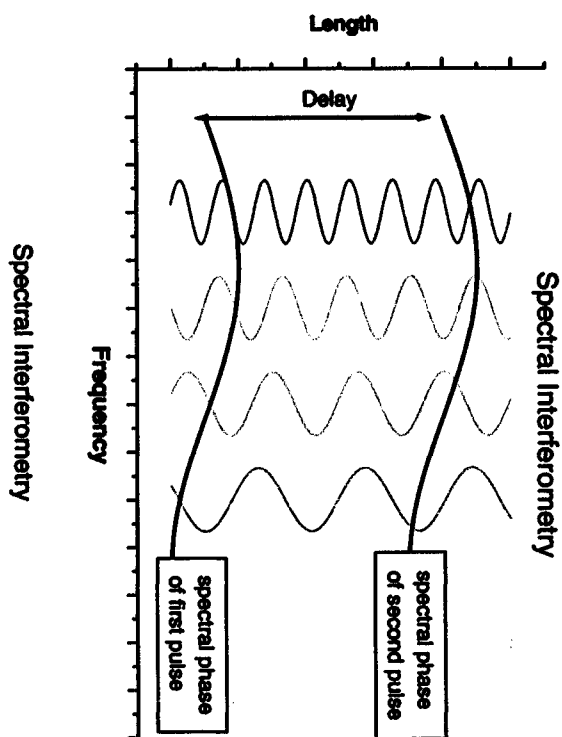
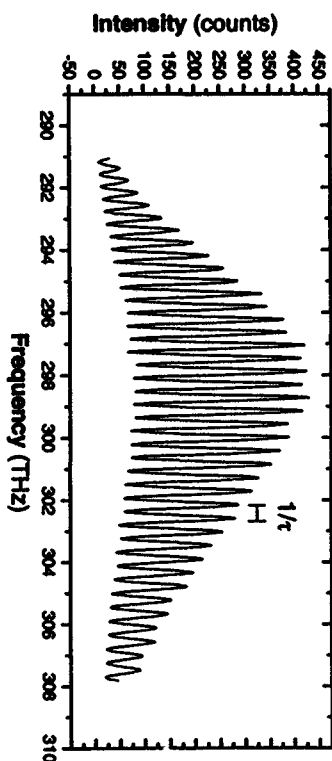
Amplified Cavity-Dumped Ti:Sapphire Laser



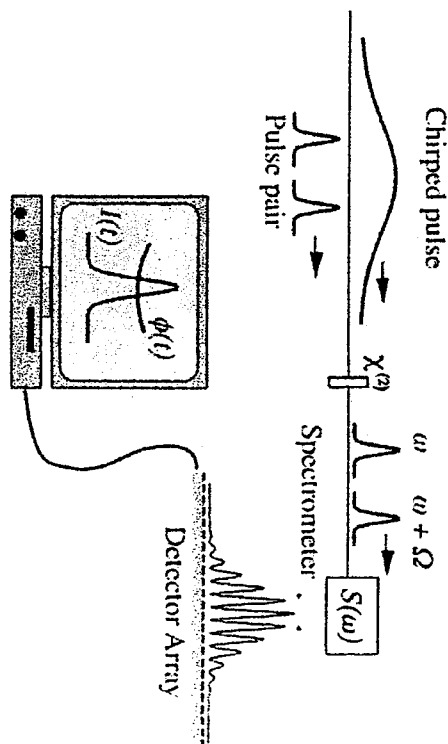
Characterisation of Laser Pulses with SPIDER

(Spectral Phase Interferometry for Direct Electric-Field Reconstruction)

- **Principle**
- **Experimental Setup**
- **Results**
- **Conclusion**



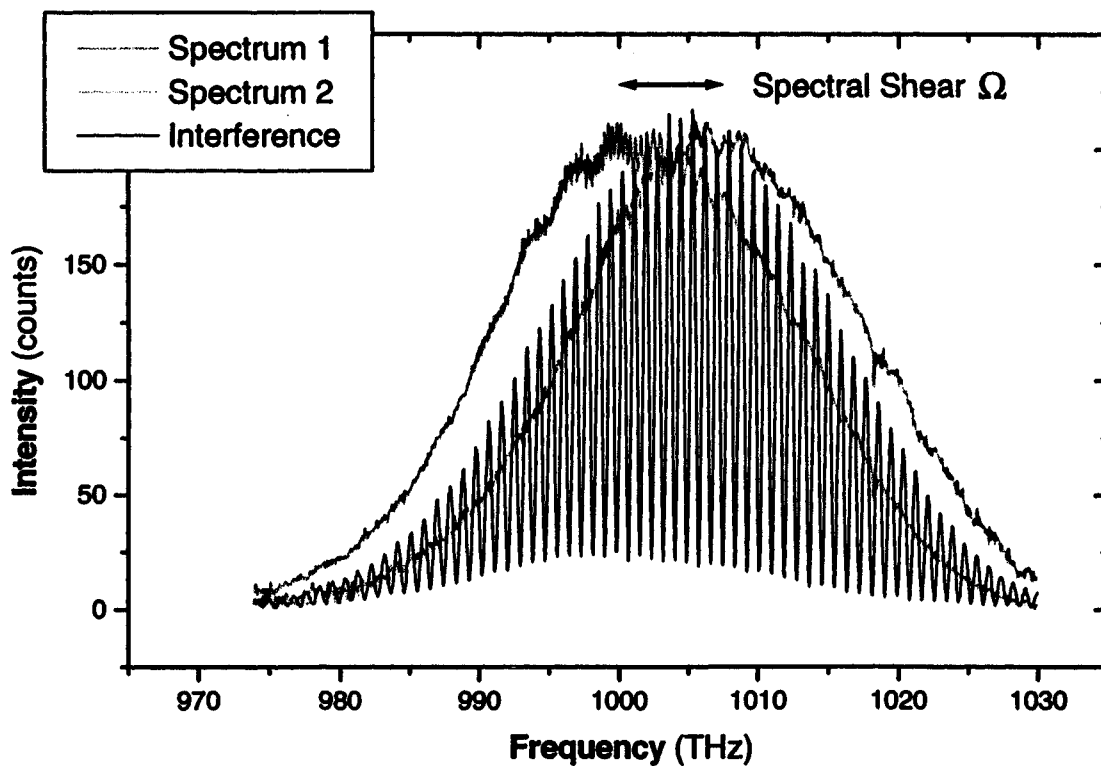
Spectral Phase Interferometry for Direct Electric-Field Reconstruction

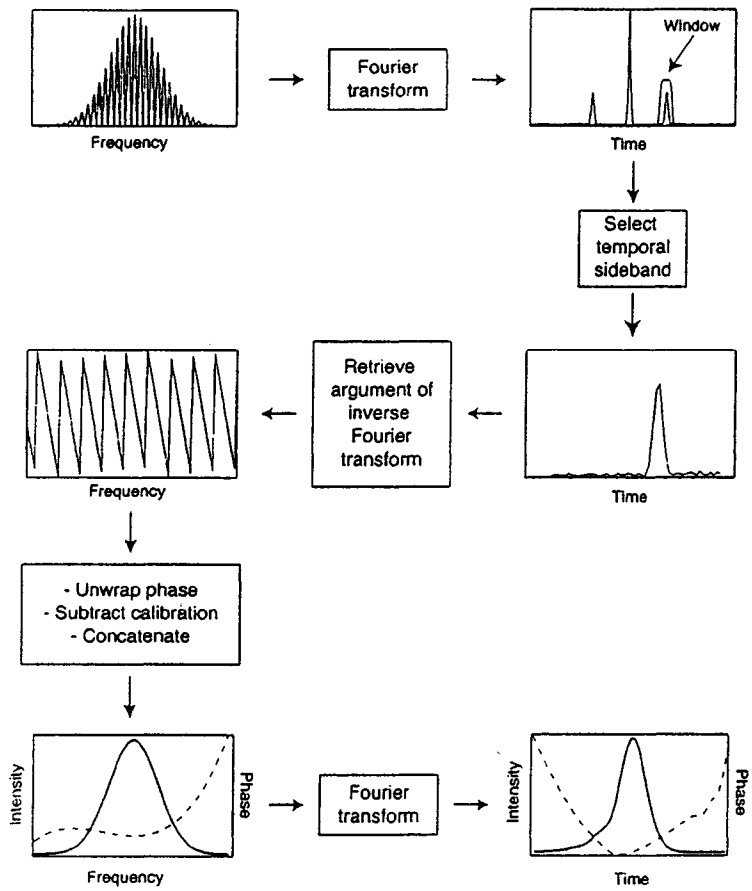


$$S(\omega) = I(\omega) + I(\omega + \Omega) + 2\sqrt{I(\omega)I(\omega + \Omega)} \times \cos\{\phi(\omega + \Omega) - \phi(\omega) + \omega\tau\},$$

C. Iaconis and I. A. Walmsley, Opt. Lett. **23** (1998), 792

Spectral Shearing Interferometry





Experimental Setup

