

SUMMER SCHOOL ON PARTICLE PHYSICS

18 June - 6 July 2001

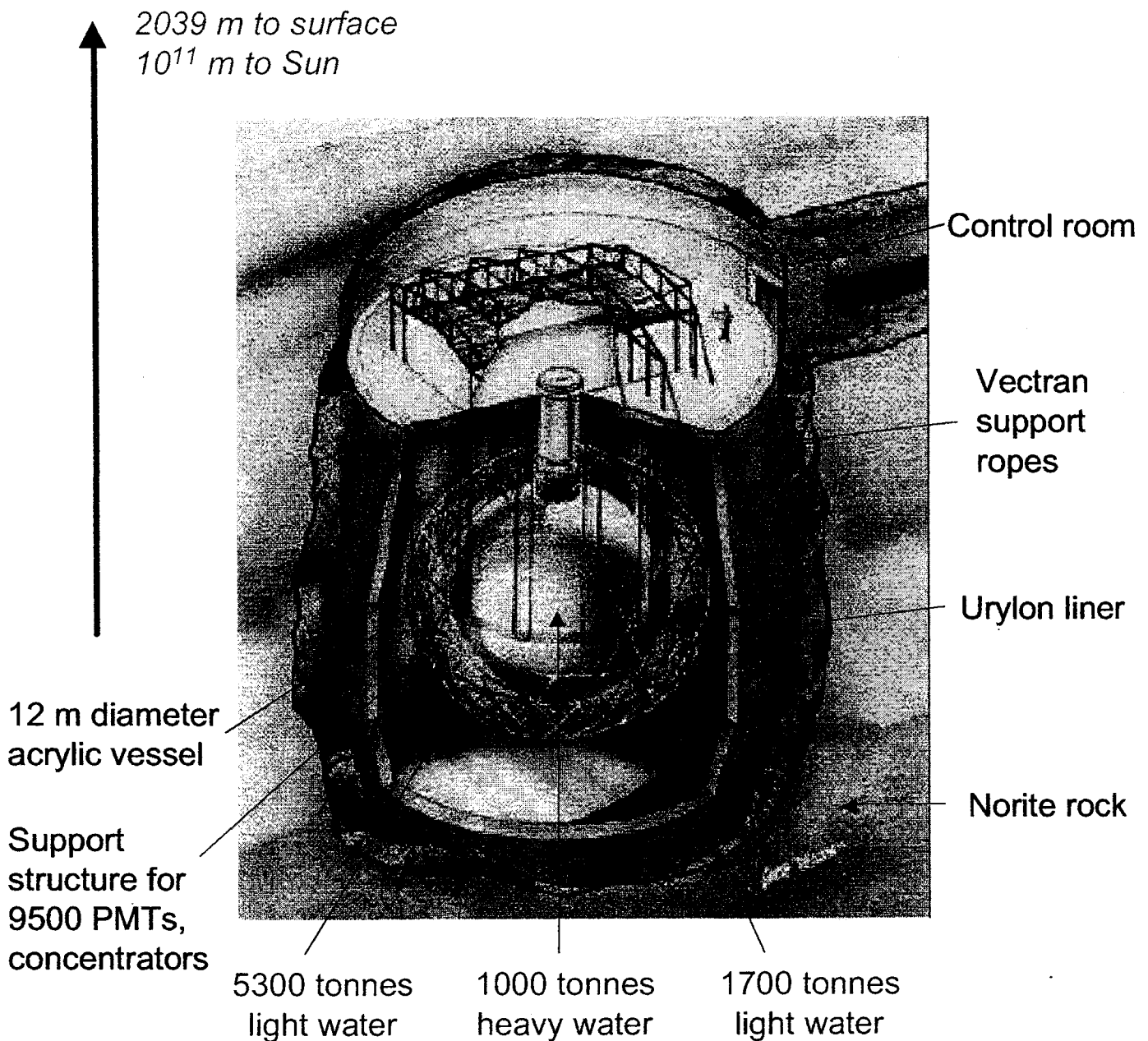
NEUTRINO PHYSICS

Lecture V

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Please note: These are preliminary notes intended for internal distribution only.

Sudbury Neutrino Observatory

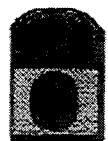
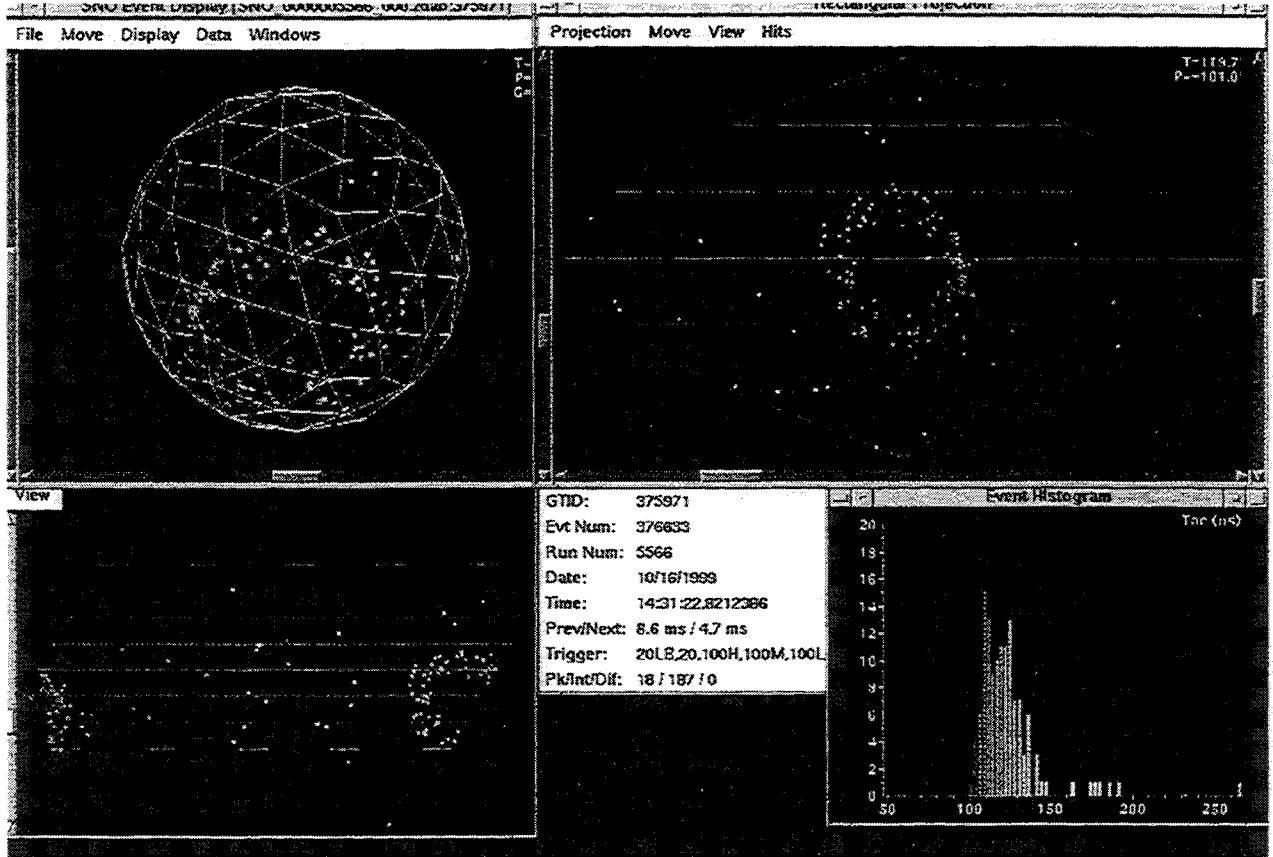


- **Location:** 6800 ft. level of INCO's Creighton mine near Sudbury, ON, Canada (~70 muons / day)

- **SNO Detector:** $9438_{\text{inward}} + 91_{\text{outward}}$ Hamamatsu 8" PMTs + concentrators = 59% coverage



A Neutrino Event



Why heavy water ?

- Standard Solar Model (SSM) fluxes are affected by uncertainties
- Uncertainties can be relatively large for the less intense γ sources (e.g., ${}^8\text{B}$ neutrinos), which contribute little to the Sun's energetics:

$$\text{SSM: } \Phi_{\text{B}} = 5.05 \times 10^6 \text{ cm}^{-2} \text{ s}^{-1} \times \left(1 \begin{array}{l} +0.20 \\ -0.16 \end{array} \right)$$

(Bahcall & al.)

↑
ESTIMATED
FRACTIONAL
1 σ ERROR
IS LARGE!

- Need to assess the deficit independently of SSM uncertainties, i.e., need a "standard candle" to calibrate γ flux
- Neutrino interactions on deuterium provide such a standard candle

CC reaction



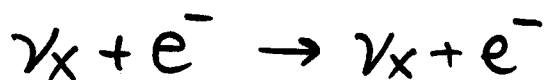
- CANNOT PROCEED THROUGH ν_μ, ν_τ
→ measures $\phi(\nu_e)$

NC reaction



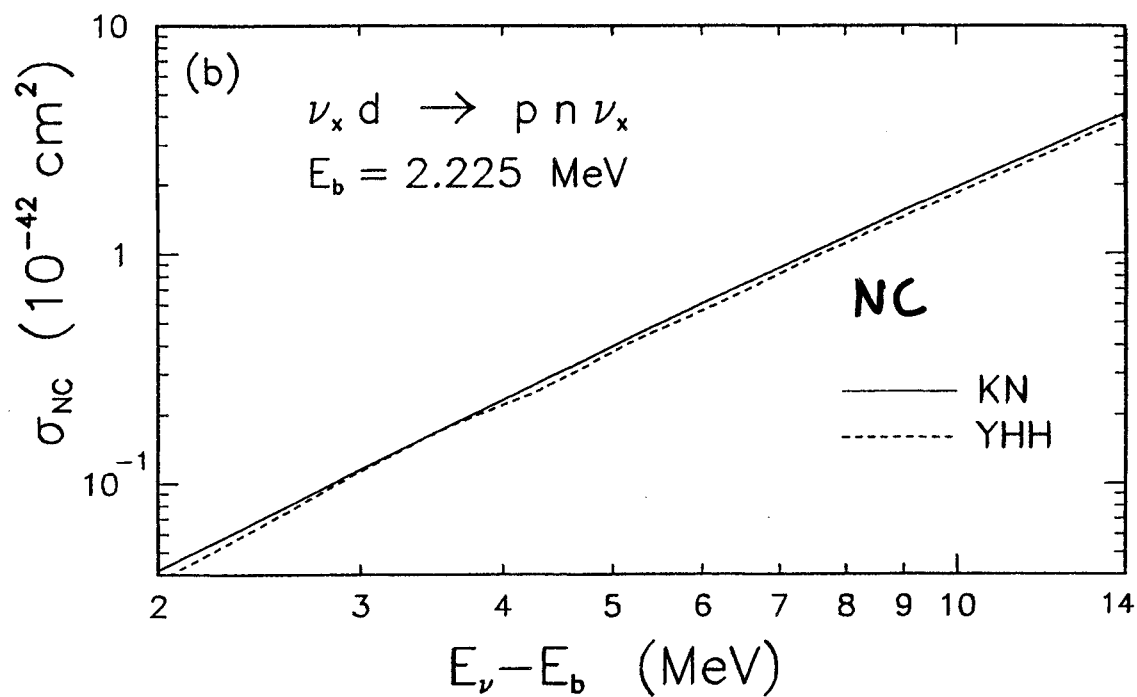
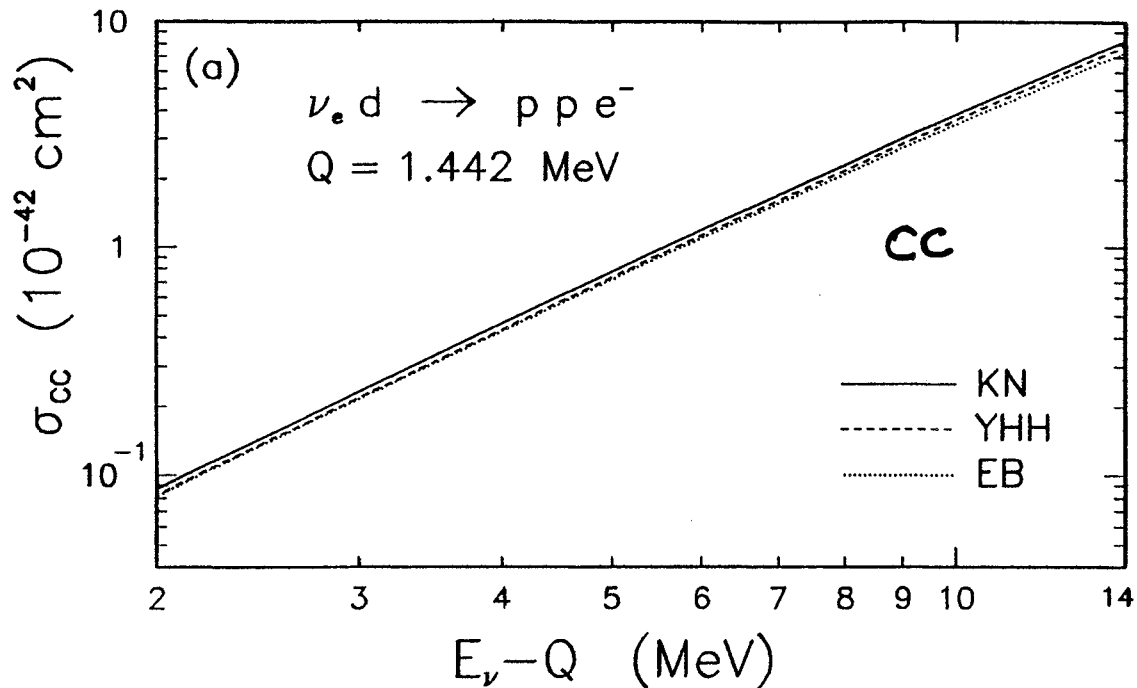
- CAN PROCEED THROUGH ν_e, ν_μ, ν_τ
→ measures $\phi(\nu_e + \nu_\mu + \nu_\tau)$ ← "standard candle"

ES reaction (as in SK)



- CAN PROCEED THROUGH ν_e (c.s. σ_e)
OR THROUGH ν_μ, ν_τ (c.s. $\sigma_{\mu\tau} \sim \frac{1}{6} \sigma_e$)

E_ν dependence of cross sections



Estimated $\pm 1\sigma$ uncertainties : $\sim \pm 3\%$ (abs.)
 $\sim \pm 1 \div 2\%$ ($\frac{CC}{NC}$)

→ can trust σ_{NC}/σ_{CC} ratio

If $\nu_e \rightarrow \nu_{\mu, \tau}$ oscillations occur,
expect

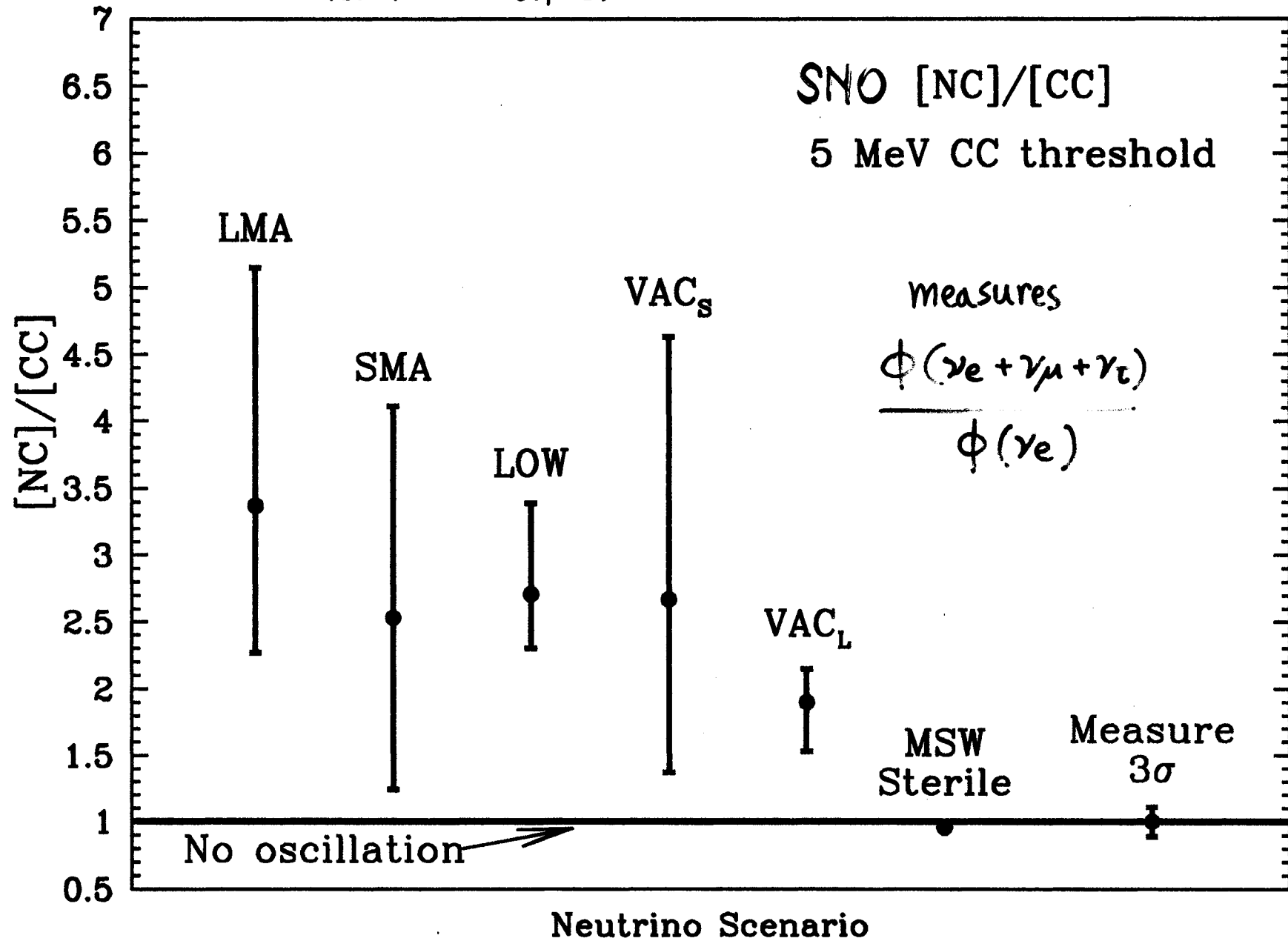
$$\frac{CC}{NC} \sim \frac{\phi(\nu_e)}{\phi(\nu_e + \nu_{\mu} + \nu_{\tau})} \sim \mathcal{O}\left(\frac{1}{2}\right)$$

↑
TO EXPLAIN
SOLAR ν
DEFICIT

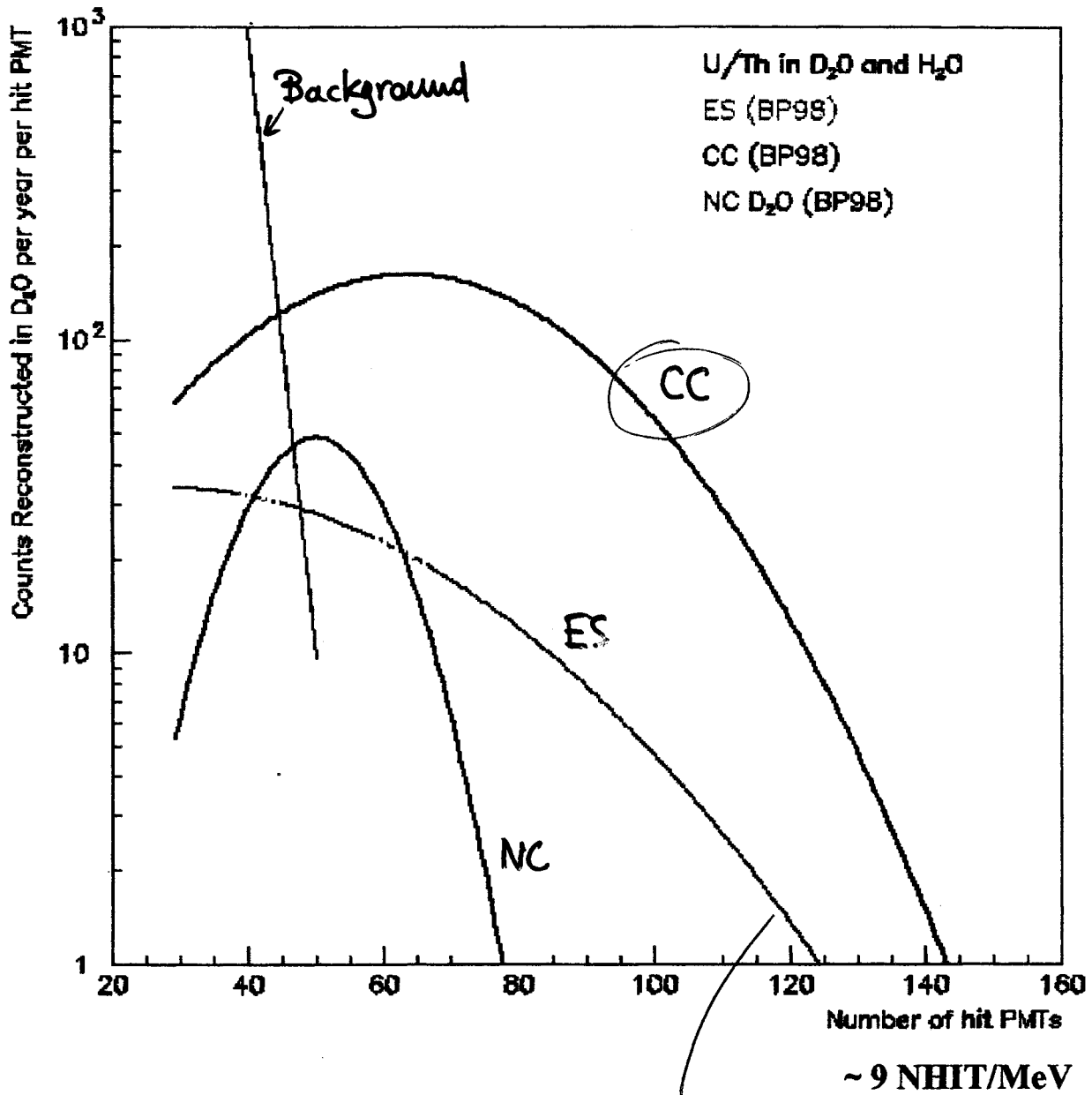
i.e., expect factor 2 difference
as compared with no oscillations

→ Even if measurement error
large (say, 10%), should
observe a many-sigma signal
independent of SSM
(flux cancel in ratio)

Bahcall, Krastev, Smirnov



1st phase (completed) :
measure dominant CC events



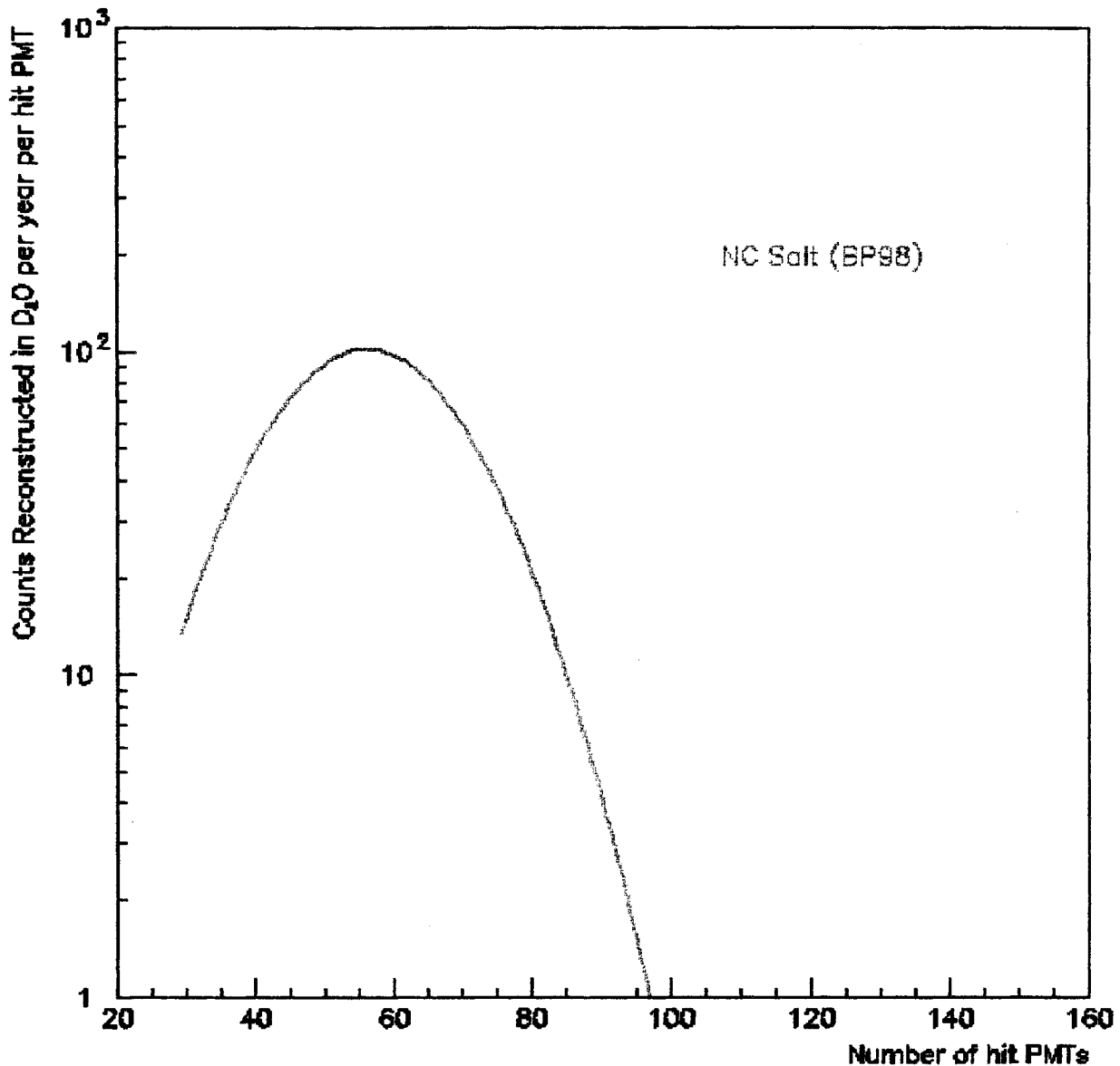
ES # events
 \ll than in SK

"measure numerator of $\frac{CC}{NC}$ "



2nd phase (in progress):

Add salt to increase neutron capture rate \rightarrow increase detected NC event rate



"measure denominator of $\frac{CC}{Nc}$ "



Measurement of charged current interactions produced by ^8B solar neutrinos at the Sudbury Neutrino Observatory

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(19 June 2001)

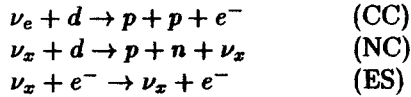
Solar neutrinos from the decay of ^8B have been detected at the Sudbury Neutrino Observatory (SNO) via the charged current (CC) reaction on deuterium and by the elastic scattering (ES) of electrons. The CC reaction is sensitive exclusively to ν_e 's, while the ES reaction also has a small sensitivity to ν_μ 's and ν_τ 's. The flux of ν_e 's from ^8B decay measured by the CC reaction rate is $\phi^{\text{CC}}(\nu_e) = 1.75 \pm 0.07$ (stat.) $^{+0.12}_{-0.11}$ (sys.) ± 0.05 (theor.) $\times 10^6 \text{ cm}^{-2} \text{ s}^{-1}$. Assuming no flavor transformation, the flux inferred from the ES reaction rate is $\phi^{\text{ES}}(\nu_x) = 2.39 \pm 0.34$ (stat.) $^{+0.16}_{-0.14}$ (sys.) $\times 10^6 \text{ cm}^{-2} \text{ s}^{-1}$. Comparison of $\phi^{\text{CC}}(\nu_e)$ to the Super-Kamiokande Collaboration's precision value of $\phi^{\text{ES}}(\nu_x)$ yields a 3.3σ difference, providing evidence that there is a non-electron flavor active neutrino component in the solar flux. The total flux of active ^8B neutrinos is thus determined to be $5.44 \pm 0.99 \times 10^6 \text{ cm}^{-2} \text{ s}^{-1}$, in close agreement with the predictions of solar models.

cc rate measured!

can do many things while waiting for NC

arXiv:nucl-ex/0106015 18 Jun 2001

Solar neutrino experiments over the past 30 years [1–6] have measured fewer neutrinos than are predicted by models of the Sun [7,9]. One explanation for the deficit is the transformation of the Sun’s electron-type neutrinos into other active flavors. The Sudbury Neutrino Observatory (SNO) measures the ^8B solar neutrinos through the reactions:



The charged current reaction (CC) is sensitive exclusively to electron-type neutrinos, while the neutral current (NC) is sensitive to all active neutrino flavors ($x = e, \mu, \tau$). The elastic scattering (ES) reaction is sensitive to all flavors as well, but with reduced sensitivity to ν_μ and ν_τ . By itself, the ES reaction cannot provide a measure of the total ^8B flux or its flavor content. Comparison of the ^8B flux deduced from the ES reaction assuming no neutrino oscillations ($\phi^{\text{ES}}(\nu_x)$), to that measured by the CC reaction ($\phi^{\text{CC}}(\nu_e)$) can provide clear evidence of flavor transformation without reference to solar model flux calculations. If neutrinos from the Sun change into other active flavors, then $\phi^{\text{CC}}(\nu_e) < \phi^{\text{ES}}(\nu_x)$.

This Letter presents the first results from SNO on the ES and CC reactions. SNO’s measurement of $\phi^{\text{ES}}(\nu_x)$ is consistent with previous measurements described in Ref [5]. The measurement of $\phi^{\text{CC}}(\nu_e)$, however, is significantly smaller than the measurements by [5] and is inconsistent with the null hypothesis that all observed solar neutrinos are ν_e . A measurement using the NC reaction, which has equal sensitivity to all neutrino flavors, will be reported in a future publication.

SNO [12] is an imaging water Čerenkov detector located at a depth of 6010 m of water equivalent in the INCO, Ltd. Creighton mine near Sudbury, Ontario. It features 1000 metric tons of ultra-pure D_2O contained in a 12 m diameter spherical acrylic vessel. This sphere is surrounded by a shield of ultra-pure H_2O contained in a 34 m high barrel-shaped cavity of maximum diameter 22 m. A stainless steel structure 17.8 m in diameter supports 9456 20-cm photomultiplier tubes (PMTs) with light concentrators. Approximately 55% of the light produced within 7 m of the center of the detector will strike a PMT.

The data reported here were recorded between Nov. 2, 1999 and Jan. 15, 2001 and correspond to a live time of 240.95 days. Events are defined by a multiplicity trigger of 18 or more PMTs exceeding a threshold of ~ 0.25 photo-electrons within a time window of 93 ns. The trigger reaches 100% efficiency at 23 PMTs. The total instantaneous trigger rate is 15–18 Hz, of which 6–8 Hz is the data trigger. For every event trigger, the time and charge responses of each participating PMT are recorded.

The data were partitioned into two sets, with approximately 70% used to establish the data analysis proce-

TABLE I. Data reduction steps.

Analysis step	Number of events
Total event triggers	355 320 964
Neutrino data triggers	143 756 178
$N_{\text{hit}} \geq 30$	6 372 899
Instrumental background cuts	1 842 491
Muon followers	1 809 979
High level cuts ^a	923 717
Fiducial volume cut	17 884
Threshold cut	1 169
Total events	1 169

^aReconstruction figures of merit, prompt light, and $\langle \theta_{ij} \rangle$.

dures and 30% reserved for a blind test of statistical bias in the analysis. The analysis procedures were frozen before the blind data set was analyzed, and no statistically significant differences in the data sets were found. We present here the analysis of the combined data sets.

Calibration of the PMT time and charge pedestals, slopes, offsets, charge vs. time dependencies, and second order rate dependencies are performed using electronic pulsers and pulsed light sources. Optical calibration is obtained using a diffuse source of pulsed laser light at 337, 365, 386, 420, 500 and 620 nm. The absolute energy scale and uncertainties are established with a triggered ^{16}N source (predominantly 6.13-MeV γ ’s) deployed over two planar grids within the D_2O and a linear grid in the H_2O . The resulting Monte Carlo predictions of detector response are tested using a ^{252}Cf neutron source, which provides an extended distribution of 6.25-MeV γ rays from neutron capture, and a $^3\text{H}(p, \gamma)^4\text{He}$ [13] source providing 19.8-MeV γ rays. The volume-weighted mean response is approximately nine PMT hits per MeV of electron energy.

Table I details the steps in data reduction. The first of these is the elimination of instrumental backgrounds. Electrical pickup may produce false PMT hits, while electrical discharges in the PMTs or insulating detector materials produce light. These backgrounds have characteristics very different from Čerenkov light, and are eliminated using cuts based only on the PMT positions, the PMT time and charge data, event-to-event time correlations, and veto PMTs. This step in the data reduction is verified by comparing results from two independent background rejection analyses.

For events passing the first stage, the calibrated times and positions of the hit PMTs are used to reconstruct the vertex position and the direction of the particle. The reconstruction accuracy and resolution are measured using Compton electrons from the ^{16}N source, and the energy and source variation of reconstruction are checked with a ^8Li β source. Angular resolution is measured using Compton electrons produced more than 150 cm from the ^{16}N source. At these energies, the vertex resolution is 16 cm and the angular resolution is 26.7 degrees.

An effective kinetic energy, T_{eff} , is assigned to each event passing the reconstruction stage. T_{eff} is calculated using prompt (unscattered) Čerenkov photons and the position and direction of the event. The derived energy response of the detector can be characterized by a Gaussian:

$$R(E_{\text{eff}}, E_e) = \frac{1}{\sqrt{2\pi}\sigma_E(E_e)} \exp\left[-\frac{1}{2}\left(\frac{E_{\text{eff}} - E_e}{\sigma_E(E_e)}\right)^2\right]$$

where E_e is the total electron energy, $E_{\text{eff}} = T_{\text{eff}} + m_e$, and $\sigma_E(E_e) = (-0.4620 + 0.5470\sqrt{E_e} + 0.008722E_e)$ MeV is the energy resolution. The uncertainty on the energy scale is found to be $\pm 1.4\%$. For validation, a second energy estimator counts all PMTs hit in each event, N_{hit} , without position and direction corrections.

Further instrumental background rejection is obtained using reconstruction figures of merit, PMT time residuals, and the average angle between hit PMTs ($\langle\theta_{ij}\rangle$), measured from the reconstructed vertex. These cuts test the hypothesis that each event has the characteristics of single electron Čerenkov light. The effects of these and the rest of the instrumental background removal cuts on neutrino signals are quantified using the ^8Li and ^{16}N sources deployed throughout the detector. The volume-weighted neutrino signal loss is measured to be $1.4^{+0.7}_{-0.6}\%$ and the residual instrumental contamination for the data set within the D_2O is $< 0.2\%$. Lastly, cosmic ray induced neutrons and spallation products are removed based upon their time coincidence with the parent muon.

Figure 1 shows the radial distribution of all remaining events above a threshold of $T_{\text{eff}} \geq 6.75$ MeV. The distribution is expressed as a function of the volume-weighted radial variable $(R/R_{\text{AV}})^3$, where $R_{\text{AV}} = 6.00$ m is the radius of the acrylic vessel. Above this energy threshold, there are contributions from CC events in the D_2O , ES events in the D_2O and H_2O , a residual tail of neutron capture events, and high energy γ rays from radioactivity in the outer detector. The data show a clear signal within the D_2O volume. For $(R/R_{\text{AV}})^3 > 1.0$ the distribution rises into the H_2O region until it is cut off by the acceptance of the PMT light collectors at $R \sim 7.0$ m. A fiducial volume cut is applied at $R = 5.50$ m to reduce backgrounds from regions exterior to the D_2O , and to minimize systematic uncertainties associated with optics and reconstruction near the acrylic vessel.

Possible backgrounds from radioactivity in the D_2O and H_2O are measured by regular low level radio-assays of U and Th decay chain products in these regions. The Čerenkov light character of D_2O and H_2O radioactivity backgrounds is used *in situ* to monitor backgrounds between radio-assays. Low energy radioactivity backgrounds are removed by the high threshold imposed, as are most neutron capture events. Monte Carlo calculations predict that the H_2O shield effectively reduces contributions of low energy (< 4 MeV) γ rays from the PMT

energy resolution

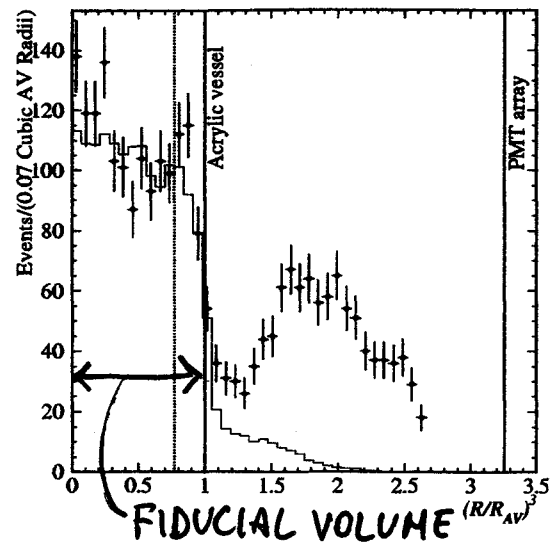


FIG. 1. Distribution of event candidates with $T_{\text{eff}} \geq 6.75$ MeV as a function of the volume weighted radial variable $(R/R_{\text{AV}})^3$. The Monte Carlo simulation of the signals, weighted by the results from the signal extraction, is shown as a histogram. The dotted line indicates the fiducial volume cut used in this analysis.

array, and these predictions are verified by deploying an encapsulated Th source in the vicinity of the PMT support sphere. High energy γ rays from the cavity are also attenuated by the H_2O shield. A limit on their leakage into the fiducial volume is estimated by deploying the ^{16}N source near the edge of the detector's active volume. The total contribution from all radioactivity in the detector is found to be $< 0.2\%$ for low energy backgrounds and $< 0.8\%$ for high energy backgrounds.

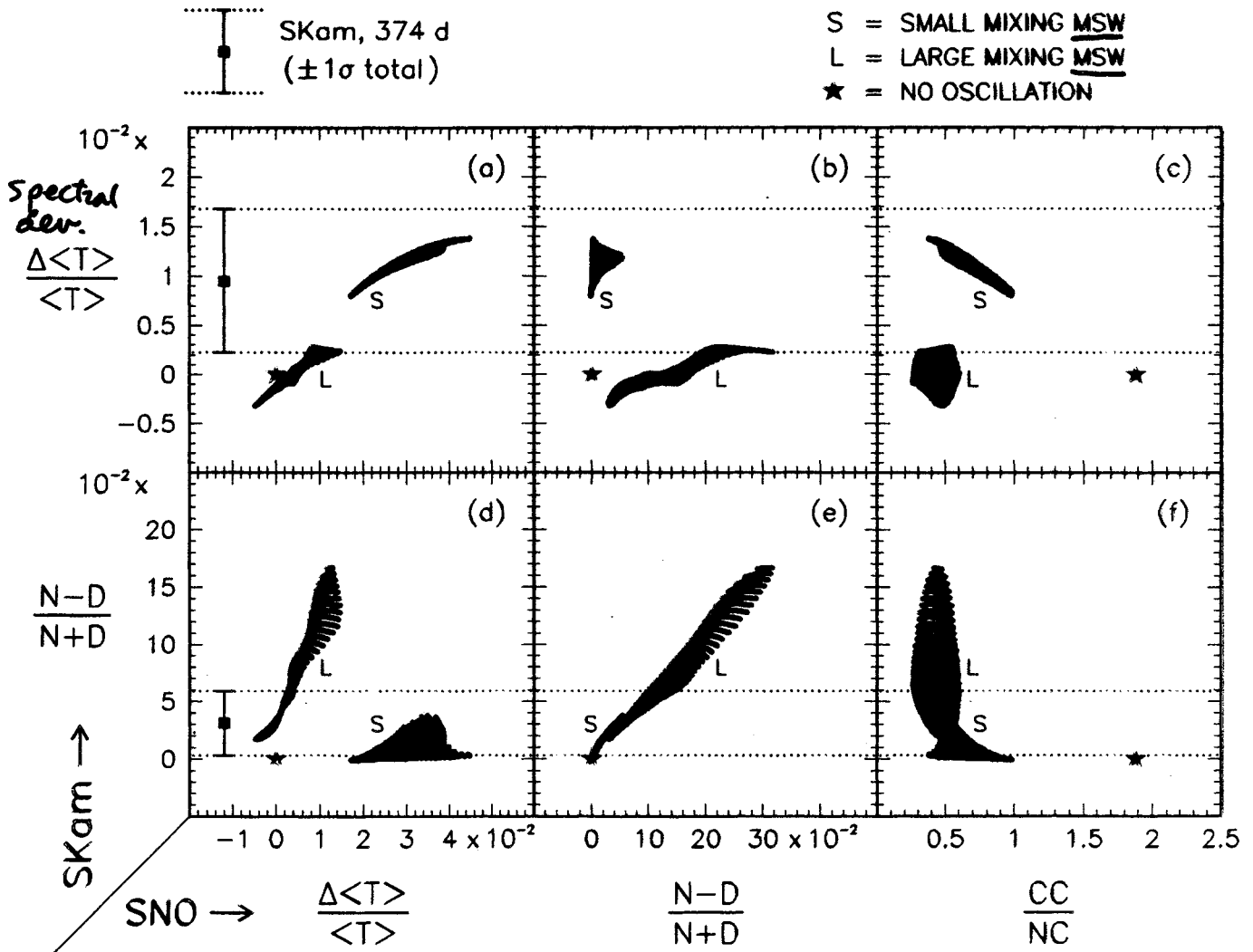
The final data set contains 1169 events after the fiducial volume and kinetic energy threshold cuts. Figure 2 (a) displays the distribution of $\cos\theta_{\odot}$, the angle between the reconstructed direction of the event and the instantaneous direction from the Sun to the Earth. The forward peak in this distribution arises from the kinematics of the ES reaction, while CC electrons are expected to have a distribution which is $(1 - 0.345 \cos\theta_{\odot})$, before accounting for detector response.

The data are resolved into contributions from CC, ES, and neutron events above threshold using probability density functions (pdfs) in T_{eff} , $\cos\theta_{\odot}$, and $(R/R_{\text{AV}})^3$, generated from Monte Carlo simulations assuming no flavor transformation and the shape of the standard ^8B spectrum [11] (*hep* neutrinos are not included in the fit). The extended maximum likelihood method used in the signal extraction yields 975.4 ± 39.7 CC events, 106.1 ± 15.2 ES events, and 87.5 ± 24.7 neutron events for the fiducial volume and the threshold chosen, where the uncertainties given are statistical only. The dominant

statistical separation of CC, ES events

Fogli, E.C. Montarino, 1996

Relation between Skam and SNO flux-independent observables



~~hep = 0 assumed.~~

~~Need to be re-examined for hep \neq 0~~

Remark on spectral distortion and D/N :
 expect in SNO twice larger effect (than in Sk)
 However: present SNO statistics \ll Sk
 (1:20) \rightarrow spectrum of SNO not decisive
 at present

ES peak

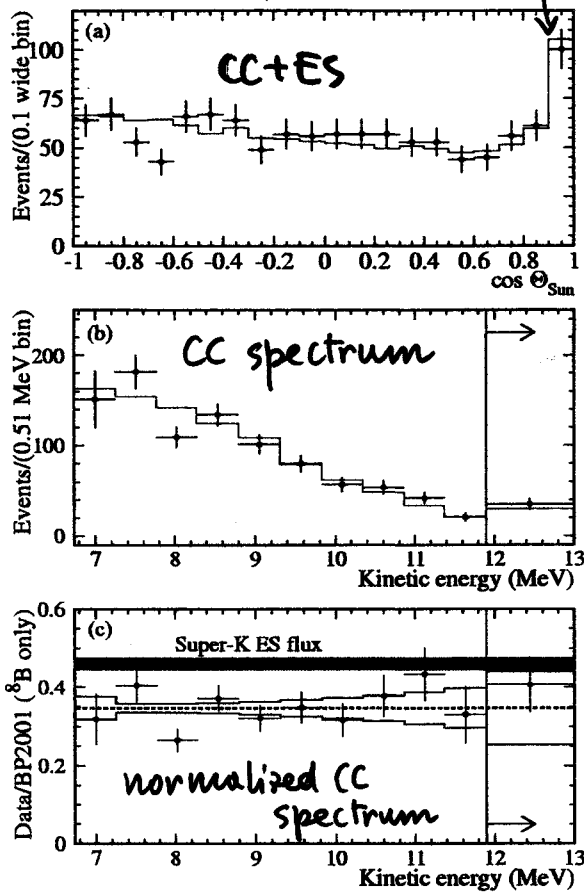


FIG. 2. Distributions of (a) $\cos \theta_{\odot}$, and (b) Extracted kinetic energy spectrum for CC events with $R \leq 5.50$ m and $T_{\text{eff}} \geq 6.75$ MeV. The Monte Carlo simulations for an undistorted ${}^8\text{B}$ spectrum are shown as histograms. The ratio of the data to the expected kinetic energy distribution with correlated systematic errors is shown in (c).

sources of systematic uncertainty in this signal extraction are the energy scale uncertainty and reconstruction accuracy, as shown in Table II. The CC and ES signal decomposition gives consistent results when used with the N_{hit} energy estimator, as well as with different choices of the analysis threshold and the fiducial volume up to 6.20 m with backgrounds characterized by pdfs.

The CC spectrum can be extracted from the data by removing the constraint on the shape of the CC pdf and repeating the signal extraction. Figure 2 (b) shows the kinetic energy spectrum with statistical error bars with the predicted standard ${}^8\text{B}$ spectrum [7] superimposed. The ratio of the data to the prediction is shown in Figure 2 (c). The bands represent the 1σ uncertainties derived from the most significant energy-dependent systematic errors. There is no evidence for a deviation of the spectral shape from the predicted shape under the non-oscillation

TABLE II. Systematic error on fluxes.

Error source	CC error (percent)	ES error (per cent)
Energy scale	-5.2, +6.1	-3.5, +5.4
Energy resolution	± 0.5	± 0.3
Energy scale non-linearity	± 0.5	± 0.4
Vertex accuracy	± 3.1	± 3.3
Vertex resolution	± 0.7	± 0.4
Angular resolution	± 0.5	± 2.2
High energy γ 's	-0.8, +0.0	-1.9, +0.0
Low energy background	-0.2, +0.0	-0.2, +0.0
Instrumental background	-0.2, +0.0	-0.6, +0.0
Trigger efficiency	0.0	0.0
Live time	± 0.1	± 0.1
Cut acceptance	-0.6, +0.7	-0.6, +0.7
Earth orbit eccentricity	± 0.2	± 0.2
${}^{17}\text{O}, {}^{18}\text{O}$	0.0	0.0
Experimental uncertainty	-6.2, +7.0	-5.7, +6.8
Cross section	3.0	0.5
Solar Model	-16, +20	-16, +20

hypothesis.

Using the integrated rates above the kinetic energy threshold $T_{\text{eff}} = 6.75$ MeV, the measured ${}^8\text{B}$ neutrino fluxes assuming no oscillations are:

CC

$$\phi_{\text{SNO}}^{\text{CC}}(\nu_e) = 1.75 \pm 0.07 \text{ (stat.)}_{-0.11}^{+0.12} \text{ (sys.)} \pm 0.05 \text{ (theor.)} \times 10^6 \text{ cm}^{-2}\text{s}^{-1}$$

ES

$$\phi_{\text{SNO}}^{\text{ES}}(\nu_x) = 2.39 \pm 0.34 \text{ (stat.)}_{-0.14}^{+0.16} \text{ (sys.)} \times 10^6 \text{ cm}^{-2}\text{s}^{-1}$$

where the theoretical uncertainty is the CC cross section uncertainty [10]. Radiative corrections have not been applied to the CC cross section, but they are expected to decrease the measured $\phi^{\text{CC}}(\nu_e)$ flux [14] by up to a few percent. The difference between the ${}^8\text{B}$ flux deduced from the ES rate and that deduced from the CC rate in SNO is $0.64 \pm 0.40 \times 10^6 \text{ cm}^{-2}\text{s}^{-1}$, or 1.6σ . SNO's ES rate measurement is consistent with the precision measurement by the Super-Kamiokande Collaboration of the ${}^8\text{B}$ flux using the same ES reaction [5]: SK ES:

$$\phi_{\text{SK}}^{\text{ES}}(\nu_x) = 2.32 \pm 0.03 \text{ (stat.)}_{-0.07}^{+0.08} \text{ (sys.)} \times 10^6 \text{ cm}^{-2}\text{s}^{-1}.$$

The difference between the flux $\phi^{\text{ES}}(\nu_x)$ measured by Super-Kamiokande via the ES reaction and the $\phi^{\text{CC}}(\nu_e)$ flux measured by SNO via the CC reaction is $0.57 \pm 0.17 \times 10^6 \text{ cm}^{-2}\text{s}^{-1}$, or 3.3σ [8]. The probability that the SNO measurement is not a downward fluctuation from the Super-Kamiokande measurement is 99.96%. For reference, the ratio of the SNO CC ${}^8\text{B}$ flux to that of the BP2001 solar model [7] is 0.347 ± 0.029 , where all uncertainties are added in quadrature.

If oscillation with maximal mixing to a sterile neutrino is occurring, the SNO CC-derived ${}^8\text{B}$ flux above a threshold of 6.75 MeV will be consistent with the integrated Super-Kamiokande ES-derived ${}^8\text{B}$ flux above a

SNO ES \approx SK ES only
provides a "consistency check"

Important quantities:
SNO CC
SK ES
(accurate data)

OBSERVABLE (total rate)	STANDARD (STD) PREDICTION SSM + no oscillat.	NO SSM + OSCILLATIONS
SNO: CC rate	$\phi_B \bar{\sigma}_{CC}$	$f_B \phi_B \bar{\sigma}_{CC} P_{ee} \leftarrow \gamma_e$
SK: ES rate	$\phi_B \bar{\sigma}_e$	$f_B \phi_B \bar{\sigma}_e P_{ee} \leftarrow \gamma_e$ + $f_B \phi_B \bar{\sigma}_a P_{ea} \leftarrow \gamma_{\mu, \tau}$

ϕ_B = SSM flux
 f_B = free normaliz. factor
 $\bar{\sigma}_e = \gamma_e$ ES cross section
 $\bar{\sigma}_a = \gamma_a$ ES " " ($a = \mu, \tau$)
 $P_{ee} = P(\gamma_e \rightarrow \gamma_e)$
 $P_{ea} = P(\gamma_e \rightarrow \gamma_a) = P(\gamma_e \rightarrow \gamma_\mu) + P(\gamma_e \rightarrow \gamma_\tau)$
 $P_{es} = P(\gamma_e \rightarrow \gamma_s)$
 $[P_{ee} + P_{ea} + P_{es} = 1]$

RATIOS : $\frac{CC}{STD} = f_B P_{ee}$

$$\frac{ES}{STD} = f_B P_{ee} + \underbrace{f_B \frac{\sigma_{\mu\tau}}{\sigma_a}}_{\geq 0} P_{ea} \geq \frac{CC}{STD}$$

$\gamma_{\mu\tau}$ component.

SK : $\frac{ES}{STD} = 0.459 \pm 0.017$

SNO : $\frac{CC}{STD} = 0.347 \pm 0.029$

Difference:

$$\frac{ES}{STD} - \frac{CC}{STD} = \frac{0.459 - 0.347}{\sqrt{0.017^2 + 0.029^2}} = 3.3$$

3.3 sigma evidence for
 $\gamma_{\mu\tau}$ component in SK

$$P_{ea} > 0 \quad \text{at } 3.3\sigma$$

OSCILLATIONS $\nu_e \rightarrow \nu_{\mu\tau}$ OCCUR!

threshold of 8.5 MeV [20]. Correcting for the ES threshold [5] this derived flux difference is $0.53 \pm 0.17 \times 10^6 \text{ cm}^{-2}\text{s}^{-1}$, or 3.1σ . The probability that this difference is not a downward fluctuation is 99.87%. These data are therefore evidence of a non-electron active flavor component in the solar neutrino flux. These data are also inconsistent with the "Just-So²" parameters for neutrino oscillation [15].

Figure 3 displays the inferred flux of non-electron flavor active neutrinos ($\phi(\nu_{\mu\tau})$) against the flux of electron neutrinos. The two data bands represent the one standard deviation measurements of the SNO CC rate and the Super-Kamiokande ES rate. The error ellipses represent the 68%, 95%, and 99% joint probability contours for $\phi(\nu_e)$ and $\phi(\nu_{\mu\tau})$. The best fit to $\phi(\nu_{\mu\tau})$ is:

$$\phi(\nu_{\mu\tau}) = 3.69 \pm 1.13 \times 10^6 \text{ cm}^{-2}\text{s}^{-1}.$$

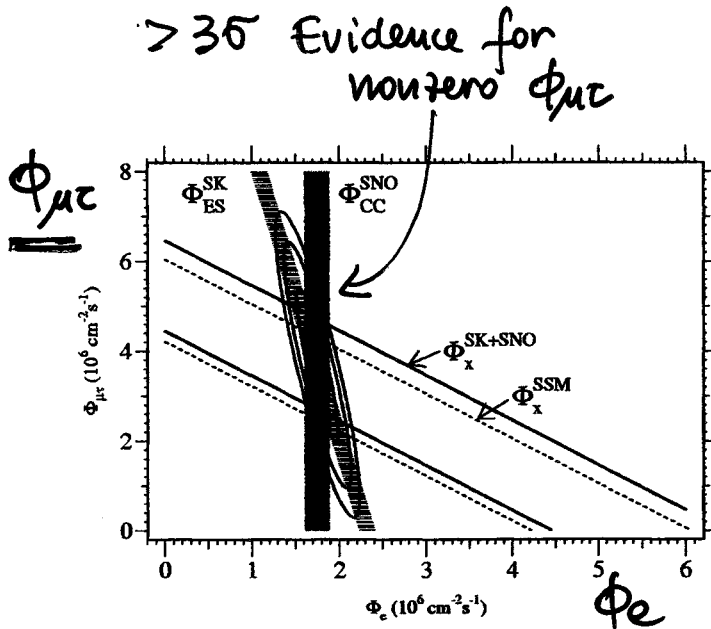


FIG. 3. Flux of ${}^8\text{B}$ solar neutrinos which are μ or τ flavor vs. the flux of electron neutrinos as deduced from the SNO and Super-Kamiokande data. The diagonal bands show the total ${}^8\text{B}$ flux $\phi(\nu_x)$ as predicted by BP2001 (dashed lines) and that derived from the SNO and Super-Kamiokande measurements (solid lines). The intercepts of these bands with the axes represent the $\pm 1\sigma$ errors.

The total flux of active ${}^8\text{B}$ neutrinos is determined to be:

$$\phi(\nu_x) = 5.44 \pm 0.99 \times 10^6 \text{ cm}^{-2}\text{s}^{-1}.$$

This result is displayed as a diagonal band in Fig. 3, and is in excellent agreement with predictions of standard solar models [7,9].

The evidence for electron neutrino flavor change implies a mass squared difference between ν_e and ν_μ or ν_τ

that is less than 10^{-3} eV^2 as shown by previous analyses [16,15]. This result can also be combined with present limits on electron neutrino mass [17] of less than 2.8 eV and $\Delta m_{\mu\tau}^2$ (assuming neutrino oscillations [19]), to limit the sum of the masses of ν_e , ν_μ , and ν_τ to be between 0.05 and 8.4 eV. This corresponds to a constraint of $0.001 < \Omega_\nu < 0.18$ for the neutrino mass contribution to the critical density of the Universe [18].

In summary, the results presented here are the first direct indication of a non-electron flavor component in the solar neutrino flux, and enable the first determination of the total flux of ${}^8\text{B}$ neutrinos generated by the Sun.

This research was supported by the Canadian Natural Sciences and Engineering Research Council of Canada, Industry Canada, National Research Council of Canada, Northern Ontario Heritage Fund Corporation and the Province of Ontario, the United States Department of Energy, and the United Kingdom by the Science and Engineering Research Council and the Particle Physics and Astronomy Research Council. Further support was provided by INCO, Ltd., Atomic Energy of Canada Limited (AECL), Agra-Monenco, Canatom, Canadian Microelectronics Corporation, AT&T Microelectronics, Northern Telecom and British Nuclear Fuels, Ltd. The heavy water was loaned by AECL with the cooperation of Ontario Power Generation.

Moreover: if no ν_s ,
 $\phi_e + \phi_{\mu\tau} \sim \phi_{SSM}$

- * Deceased. \rightarrow SSM confirmed
- † Permanent address: TRIUMF, 4004 Wesbrook Mall, Vancouver, BC V6T 2A3, Canada.
- ‡ Permanent address: Birkbeck College, University of London, Malet Road, London WC1E 7HX, UK.
- § Permanent address: Rutherford Appleton Laboratory, Chilton, Didcot, Oxon, OX11 0QX, and University of Sussex, Physics and Astronomy Department, Brighton BN1 9QH, UK.
- [1] B.T. Cleveland *et al.*, *Astrophys. J.* **496**, 505 (1998).
- [2] K.S. Hirata *et al.*, *Phys. Rev. Lett.* **65**, 1297 (1990); K.S. Hirata *et al.*, *Phys. Rev. D* **44**, 2241 (1991); Y. Fukuda *et al.*, *Phys. Rev. Lett.* **77**, 1683 (1996).
- [3] J.N. Abdurashitov *et al.*, *Phys. Rev. C* **60**, 055801, (1999).
- [4] W. Hampel *et al.*, *Phys. Lett. B* **447**, 127 (1999).
- [5] S. Fukuda *et al.*, *Phys. Rev. Lett.* **86**, 5651 (2001).
- [6] W. Altmann *et al.*, *Phys. Lett. B* **490**, 16 (2000).
- [7] J.N. Bahcall, M. H. Pinsonneault, and S. Basu, *astro-ph/0010346 v2*. The reference ${}^8\text{B}$ neutrino flux is $5.05 \times 10^6 \text{ cm}^{-2}\text{s}^{-1}$.
- [8] Given the limit set for the *hep* flux by Ref. [5], the effects of the *hep* contribution may increase this difference by a few percent.
- [9] A.S. Brun, S. Turck-Chièze, and J.P. Zahn, *Astrophys. J.* **525**, 1032 (1999).

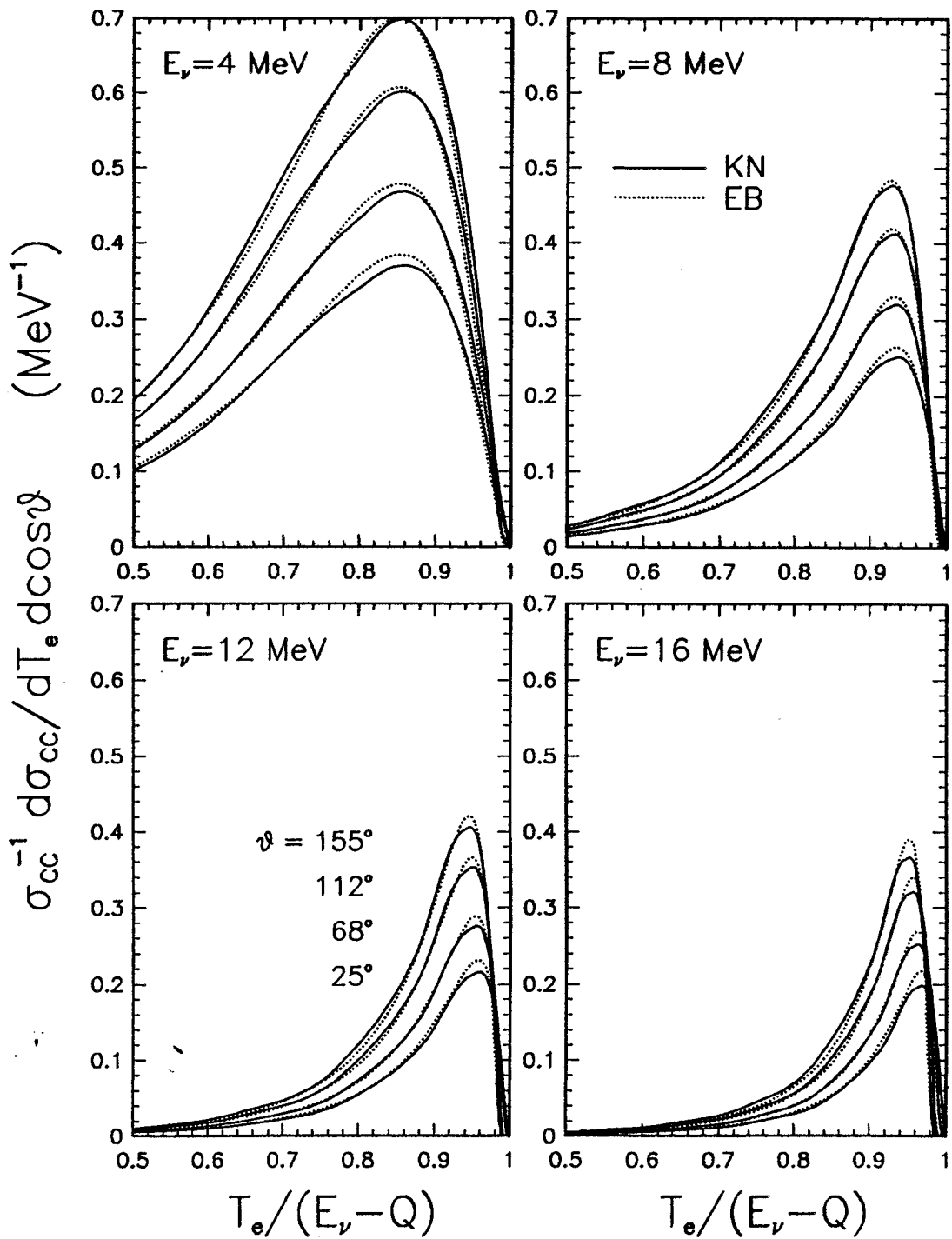
NOTICE THAT RESULTS DEPEND
ON COMPARISON (SUBTRACTION)
OF RATES MEASURED IN TWO
DIFFERENT EXPERIMENTS HAVING

- Different thresholds
($E_{SK} > 5 \text{ MeV}$, $T_{SNO} > 6.75 \text{ MeV}$)
- Different resolutions in energy
- Different cross-sections (both
total and differential)



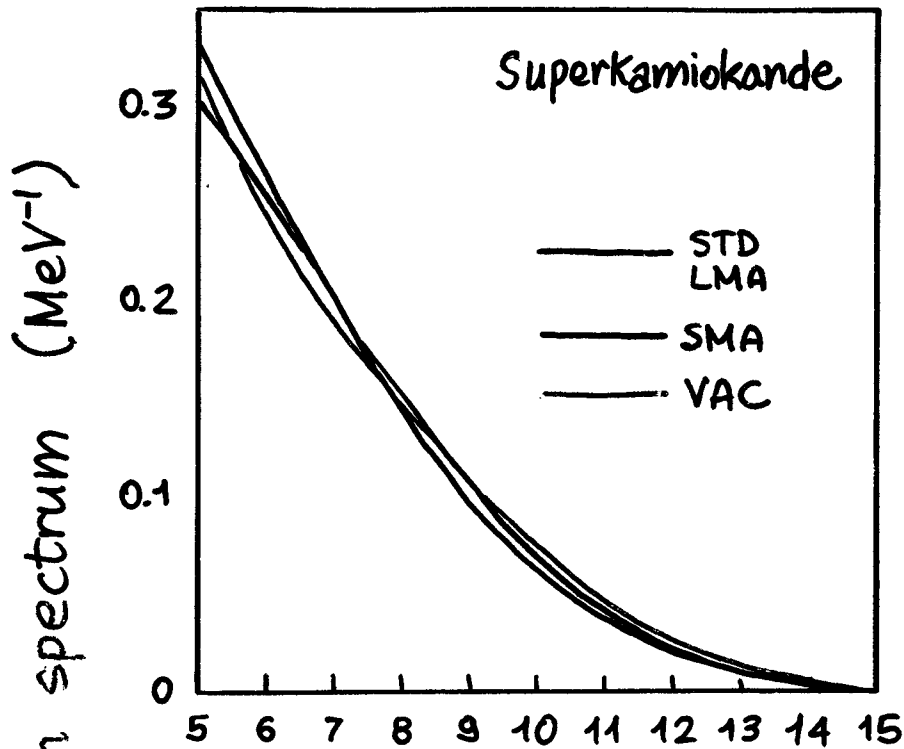
- DIFFERENT SENSITIVITY TO INCOMING ν
- DIFFERENT "PARENT NEUTRINO" SPECTRA
 ↓
 Different response functions

CC differential cross section more peaked in energy (ES flat)

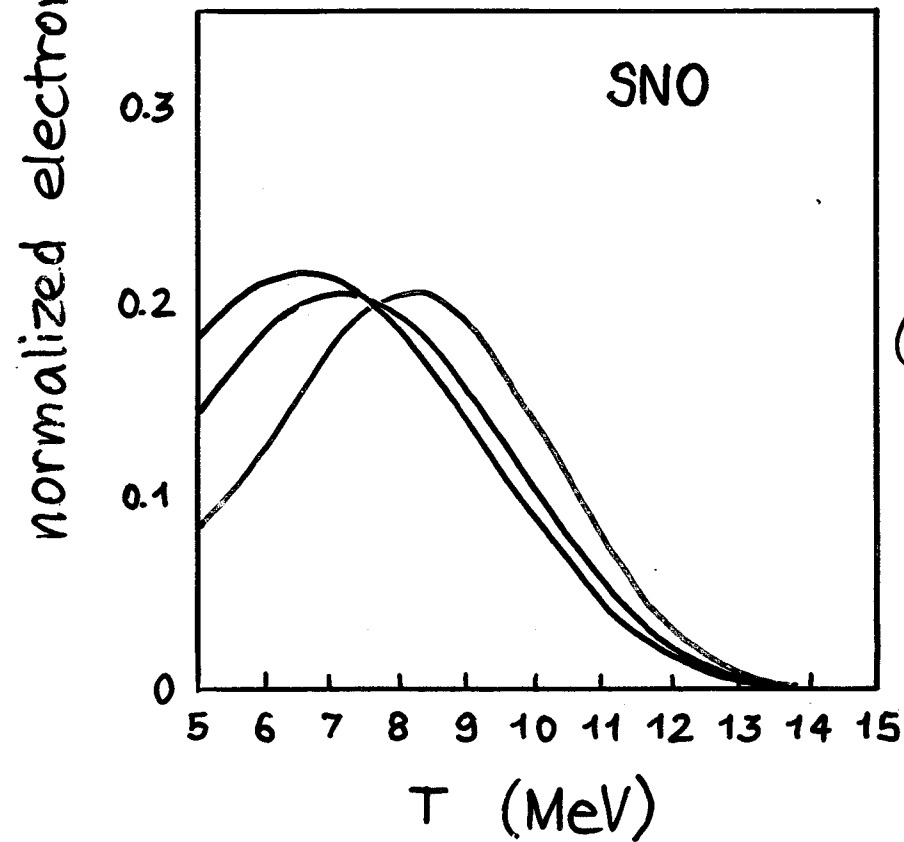


Bahcall & E.L., PRD 54, 5417 (1996)

ELECTRON T-SPECTRA



$\nu_e \rightarrow \nu_e$

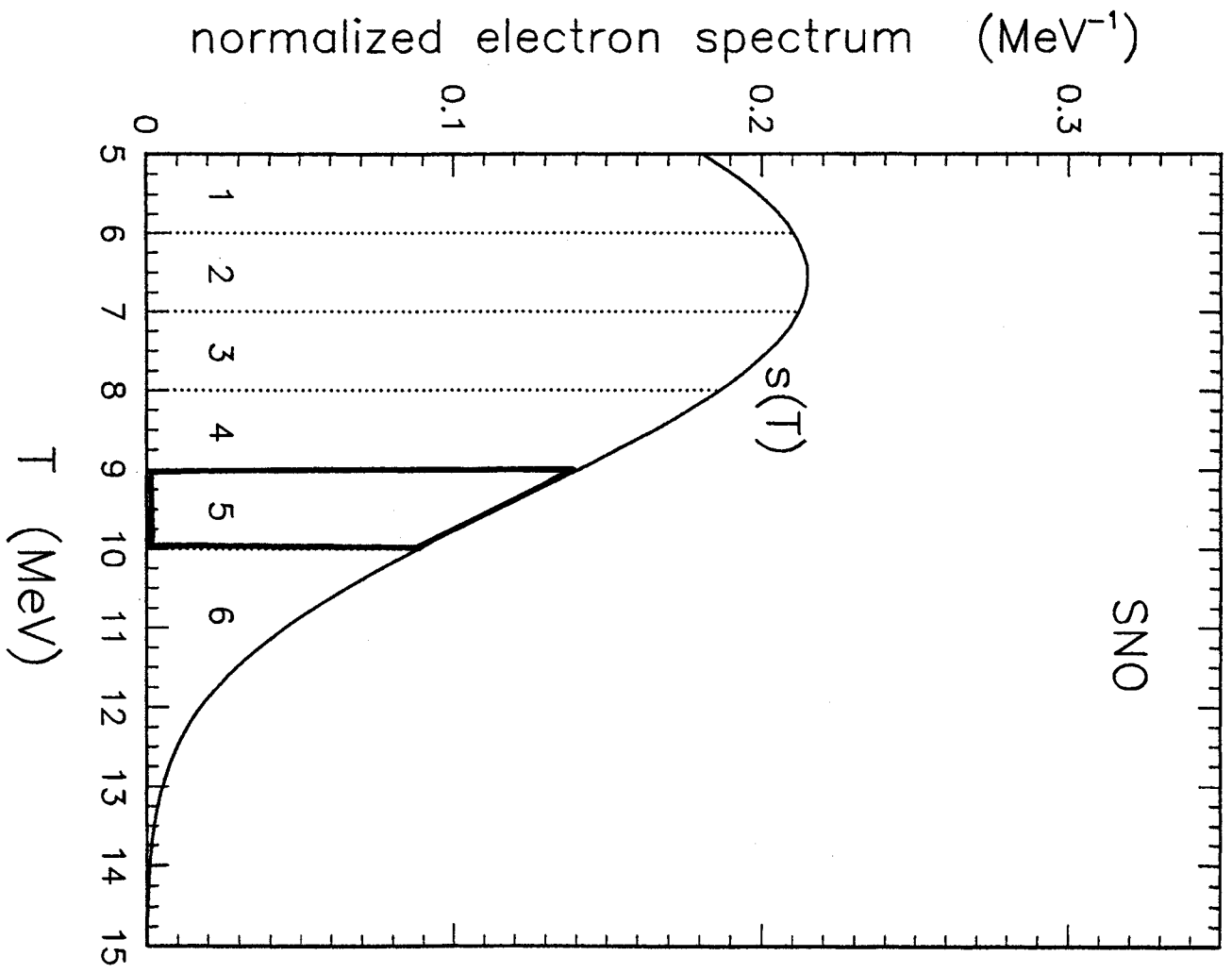


$\nu_d \rightarrow ppe$

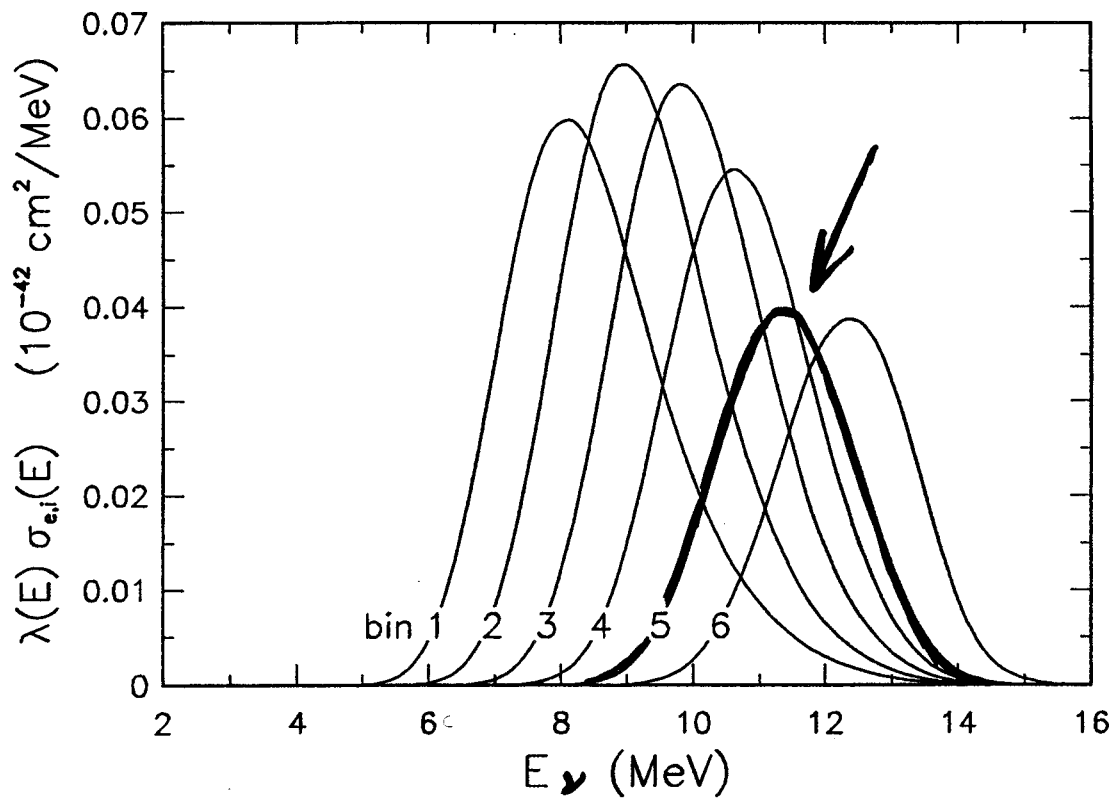
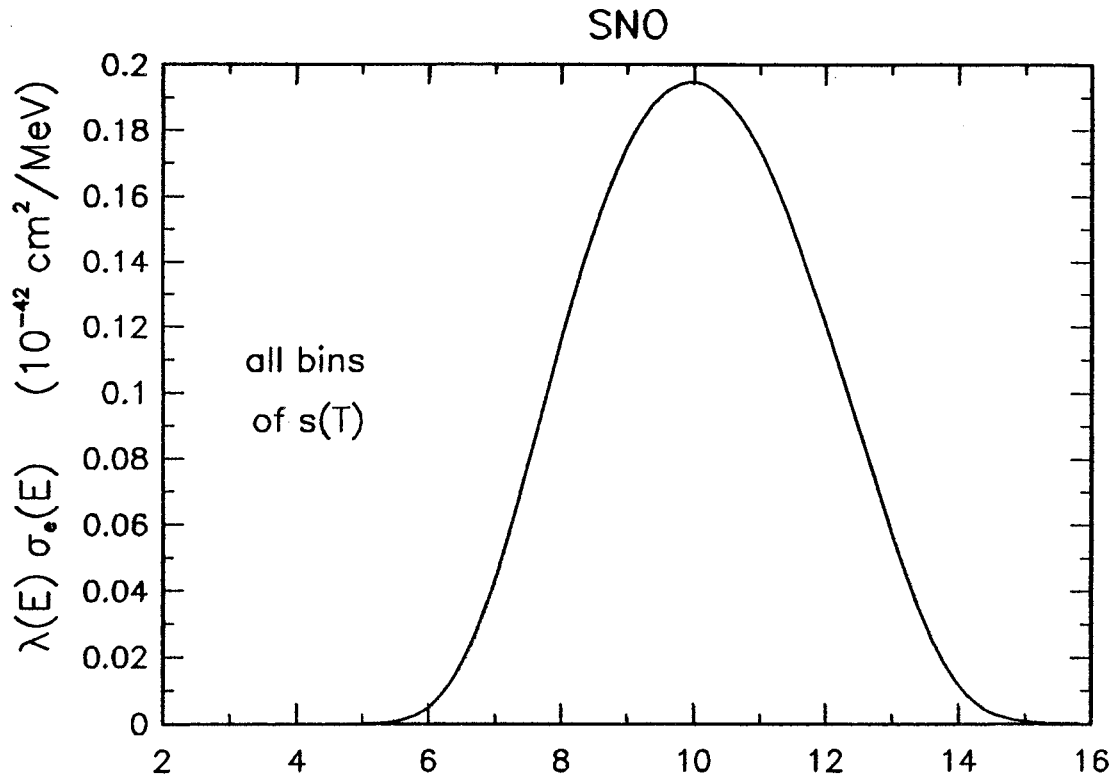
(intrinsically higher sensitivity to spectral distortions for equal statistics)

→ absolute energy spectra rather different...

Eg, take the bin
Te e [9, 10] MeV in SNO

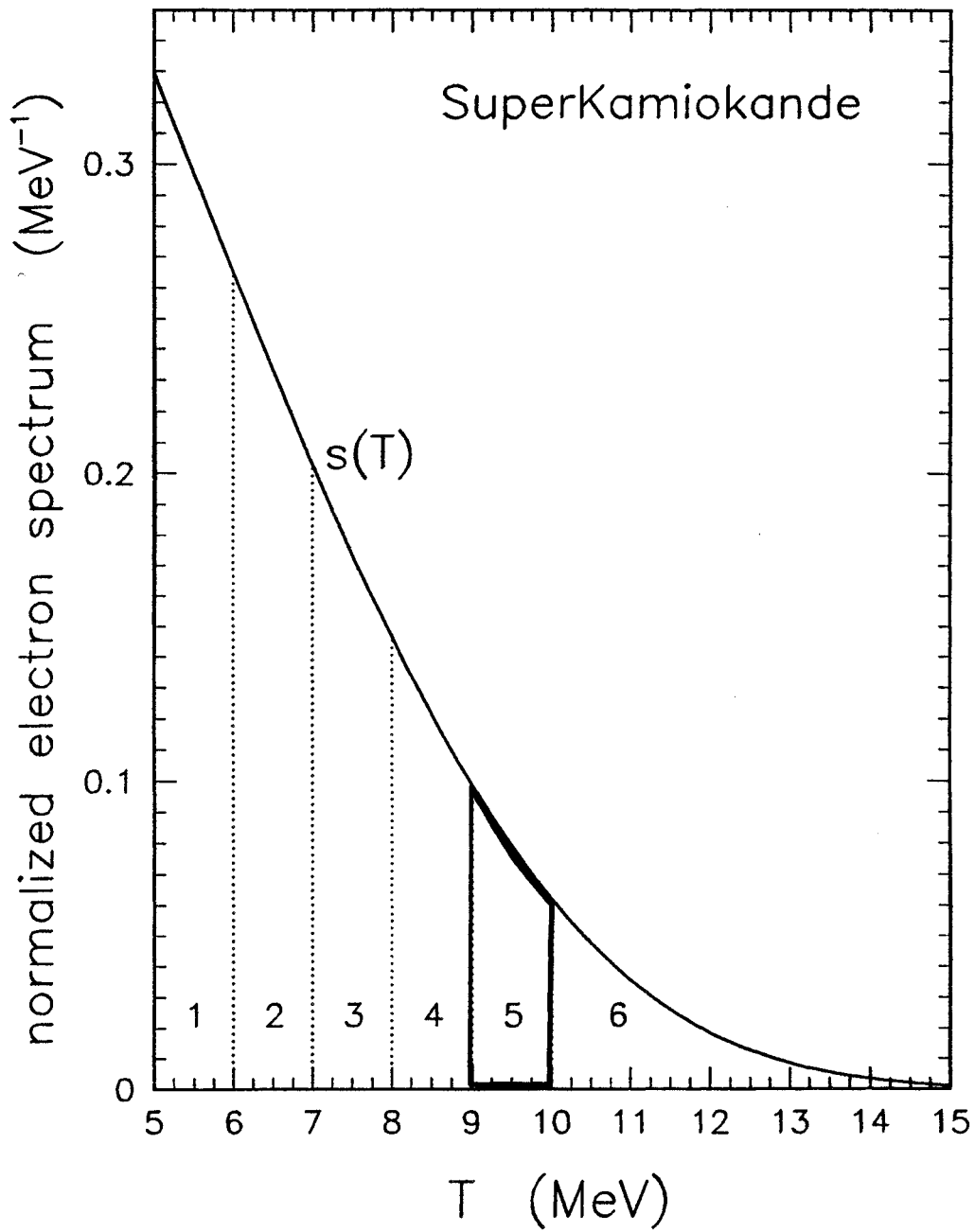


... Then the corresponding parent γ spectrum is peaked at $E_\gamma \sim 11.5$ MeV

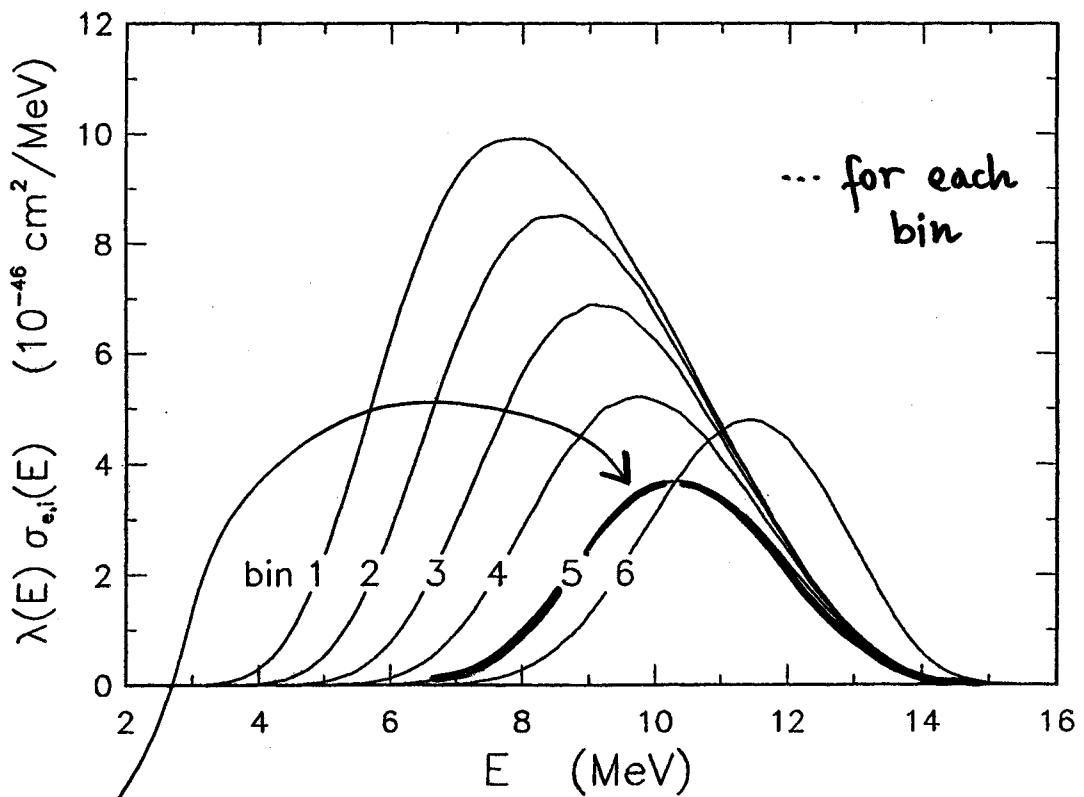
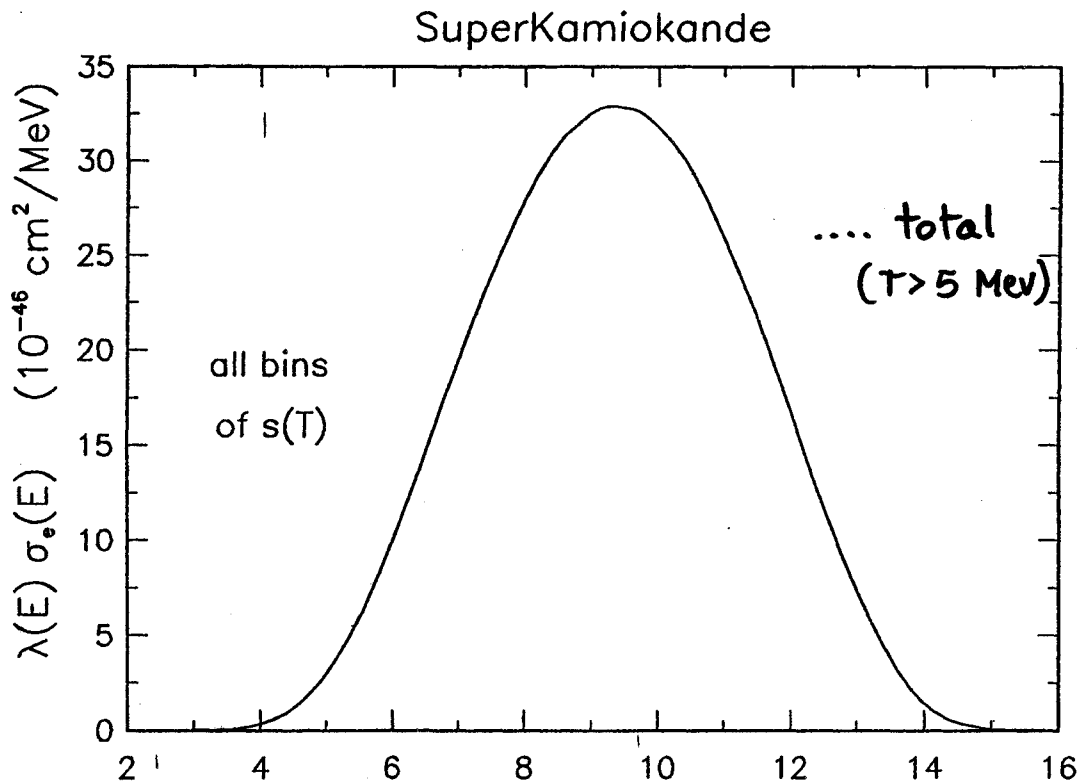


Faiz, Fogli, E.L., Montanino

The same electron energy bin in Sk ...



Spectrum of parent neutrinos



... is instead peaked at ~ 10 MeV in neutrino energy

Q. : CAN ONE MAKE A MODEL-INDEPENDENT COMPARISON OF SK AND SNO IN THE PRESENCE OF DIFFERENT SENSITIVITIES?

A. : IN GENERAL, NO. HOWEVER, IT TURNS OUT (IN PART ACCIDENTALLY) THAT THE SK AND SNO SENSITIVITIES CAN BE "EQUALIZED" BY AN APPROPRIATE CHOICE OF ENERGY RANGES FOR ELECTRONS (IN BOTH SK AND SNO)

Villante, Fiorentini, E.L.

Fogli, E.L., Palazzo, Villante.

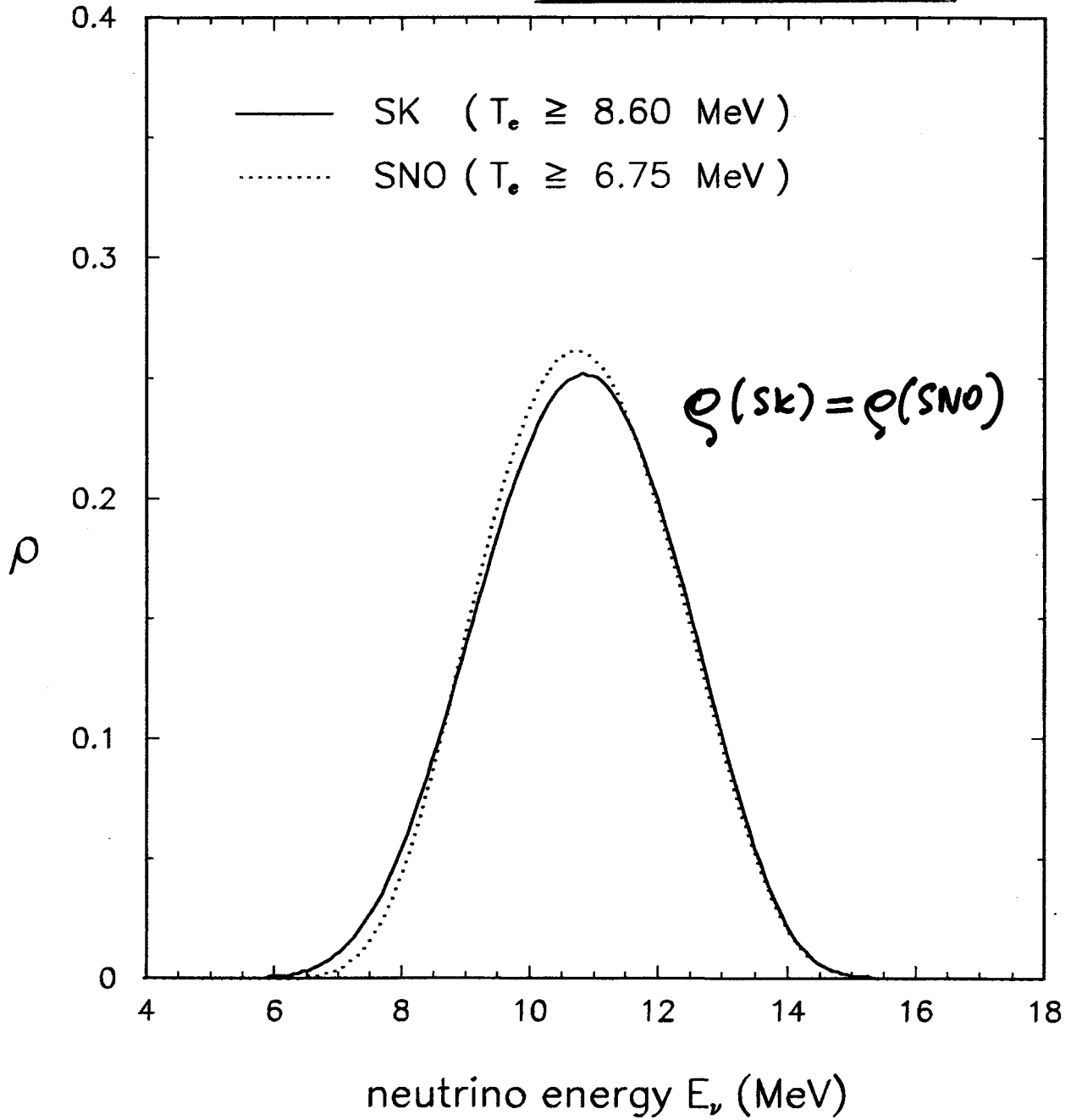
IN PARTICULAR, THE CURRENT SNO SENSITIVITY TO PARENT NEUTRINOS (for $T_e(\text{SNO}) > 6.75 \text{ MeV}$) IS EQUAL TO THE SK SENSITIVITY for $T_e(\text{SK}) > 8.6 \text{ MeV}$

Fogli, E.L., Montanino, Palazzo
hep-ph/0106247 (21 june 01)

→ re-evaluated $\frac{ES}{STD} \approx 0.451 \pm 0.017$

(pending confirmation by SK officially)

SK and SNO response functions



(small differences numerically irrelevant
at present)

with such properly tuned thresholds,
the following relations hold rigorously:

$$\left\{ \begin{array}{l} \frac{CC}{STD} = f_B \langle P_{ee} \rangle \\ \frac{ES}{STD} = f_B \langle P_{ee} \rangle + f_B \frac{\bar{\sigma}_a}{\bar{\sigma}_e} \langle P_{ea} \rangle \end{array} \right.$$

where $\langle P_{ex} \rangle$ are averaged over the previous $\rho_{sk}(E_\nu) [= \rho_{no}(E_\nu)]$, and $(a=\mu, \tau)$
 $\bar{\sigma}_a/\bar{\sigma}_e$ is the ratio of appropriately averaged differential cross section
(numerically, $\bar{\sigma}_a/\bar{\sigma}_e = 0.152$)

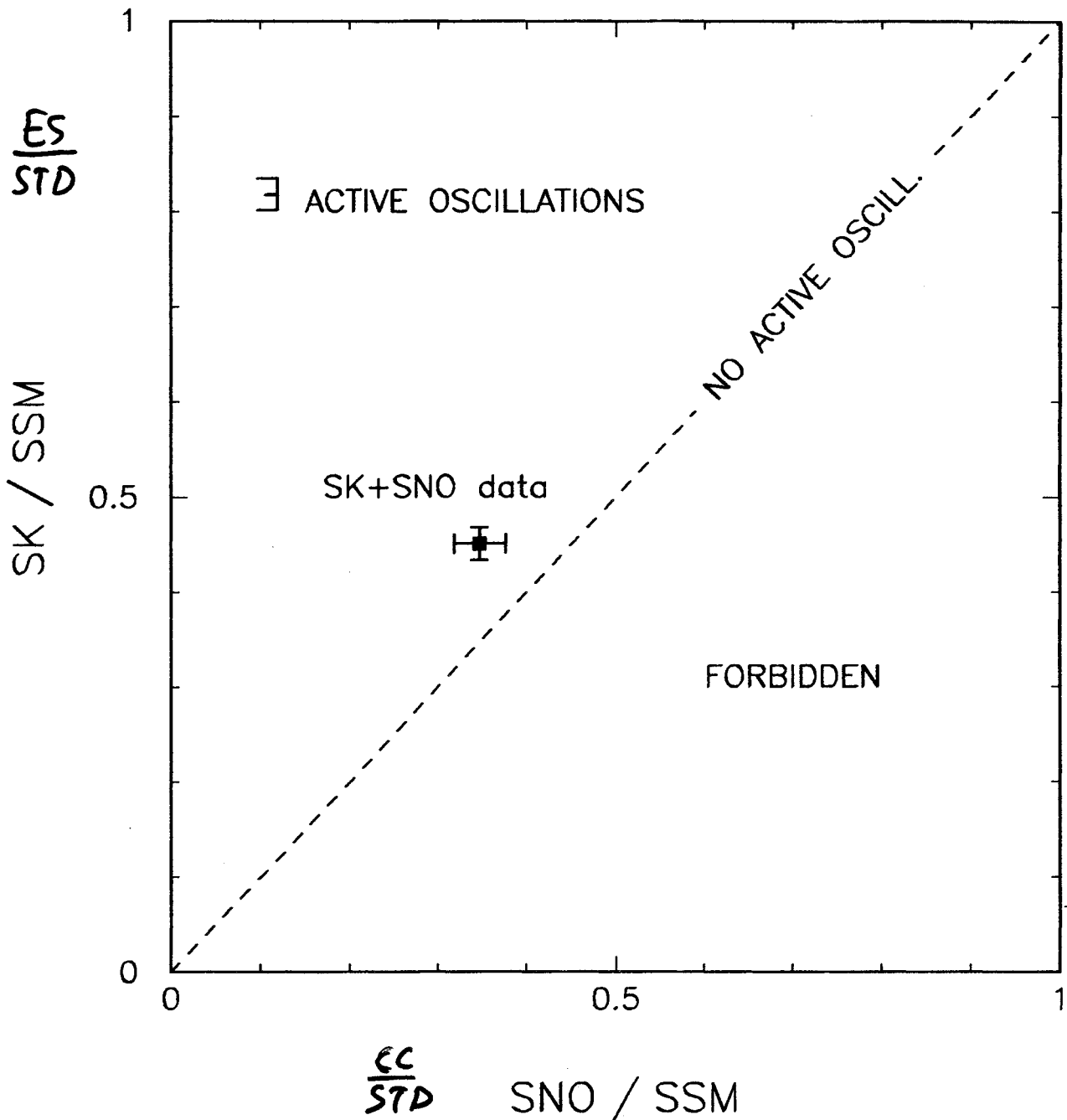
CONSEQUENCES:

- 1) $\frac{ES}{STD} < \frac{CC}{STD}$ forbidden (otherwise $P_{ea} < 0$)
- 2) $\frac{ES}{STD} = \frac{CC}{STD}$ only if $P_{ea} = 0$
- 3) $\frac{ES}{STD} > \frac{CC}{STD}$ only if $P_{ea} > 0$

↑
rigorous and model independent

- don't depend on f_B
- don't depend on functional form of $P_{ex}(E_\nu)$
- don't depend on existence (or not) of γ_S

Model-independent SK/SNO comparison
confirms $>3\sigma$ evidence for open
 $\nu_e \rightarrow \nu_{\mu, \tau}$ channel



Fogli, E.L.,
Lombardi,
Falaschi

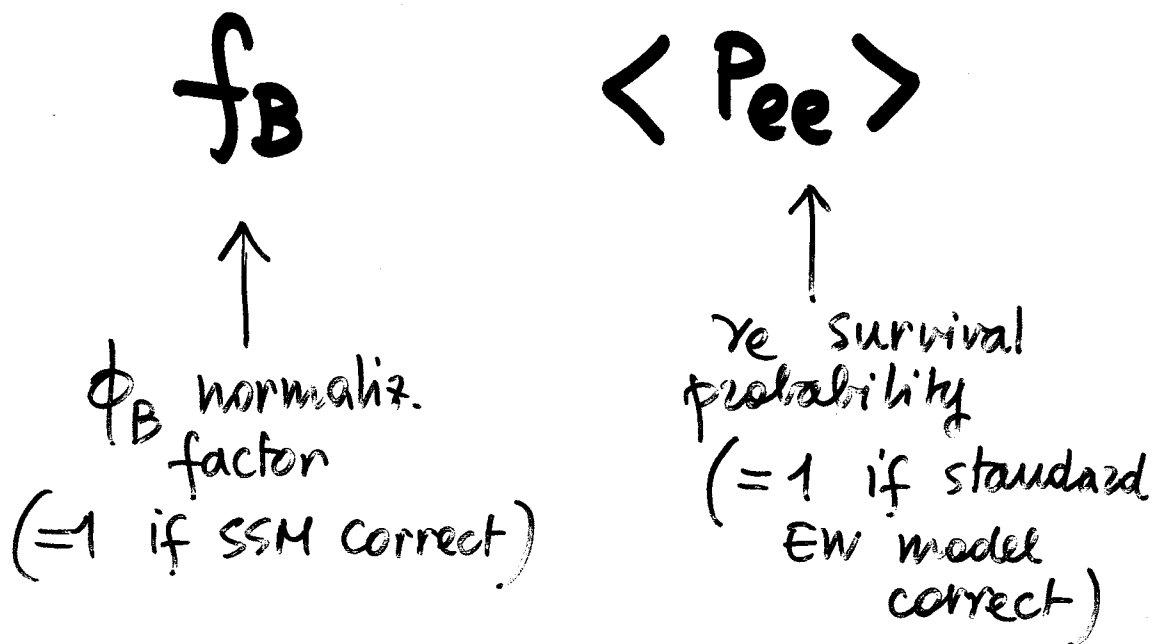
THE CASE OF (GENERIC) ACTIVE OSCILLATIONS

We have seen that $\nu_e \rightarrow \nu_{\mu\tau}$ oscillations exist (at $>3\sigma$). What happens if one assumes that only $\nu_e \rightarrow \nu_{\mu\tau}$ oscillations take place?

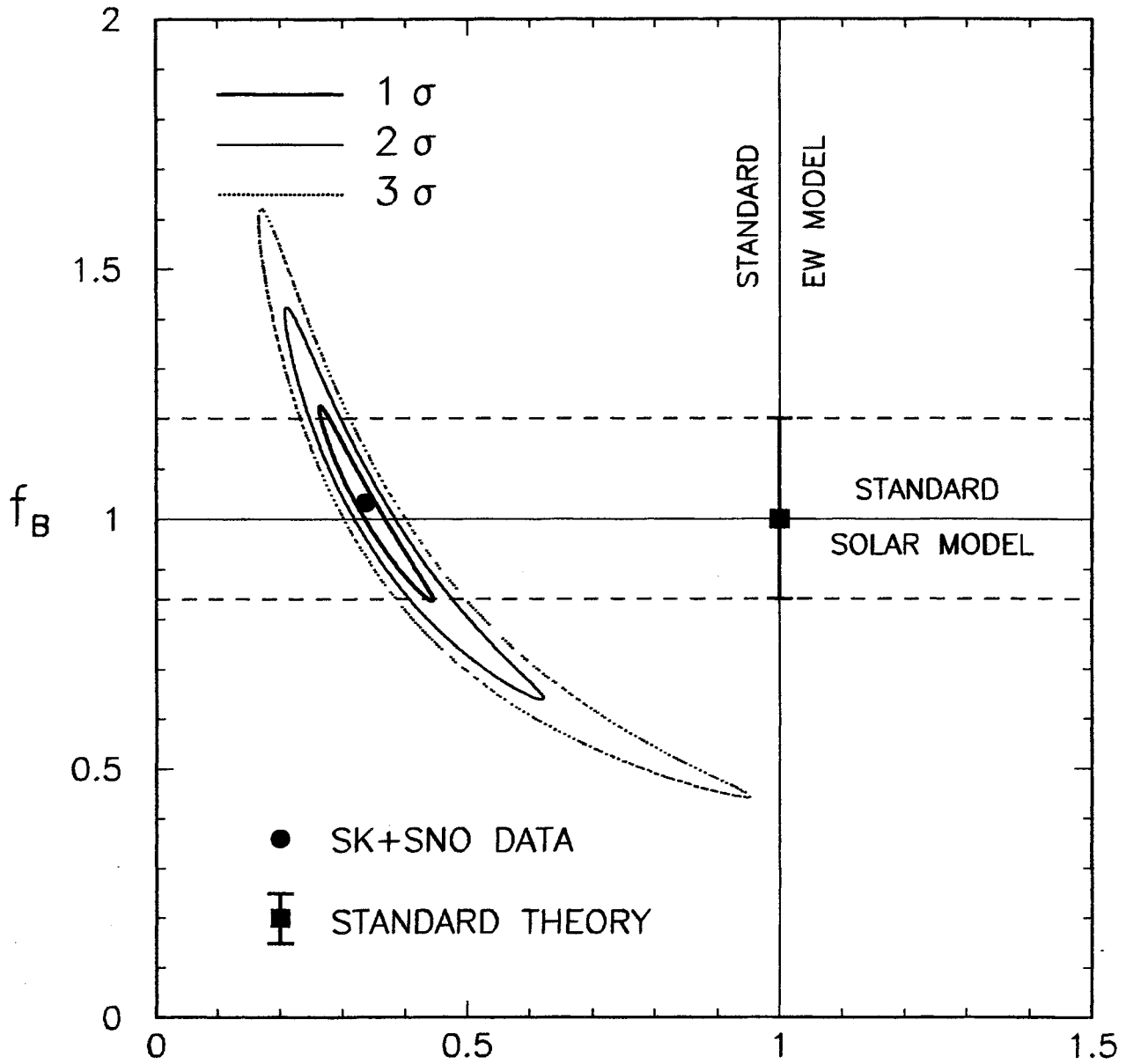
$$P_{es} = 0 \rightarrow \langle P_{ea} \rangle = 1 - \langle P_{ee} \rangle$$

$$\rightarrow \begin{cases} \frac{CC}{STD} = f_B \langle P_{ee} \rangle \\ \frac{SK}{STD} = f_B \langle P_{ee} \rangle + f_B \frac{\sigma_a}{\sigma_e} (1 - \langle P_{ee} \rangle) \end{cases}$$

TWO EQUATIONS IN TWO UNKNOWNNS



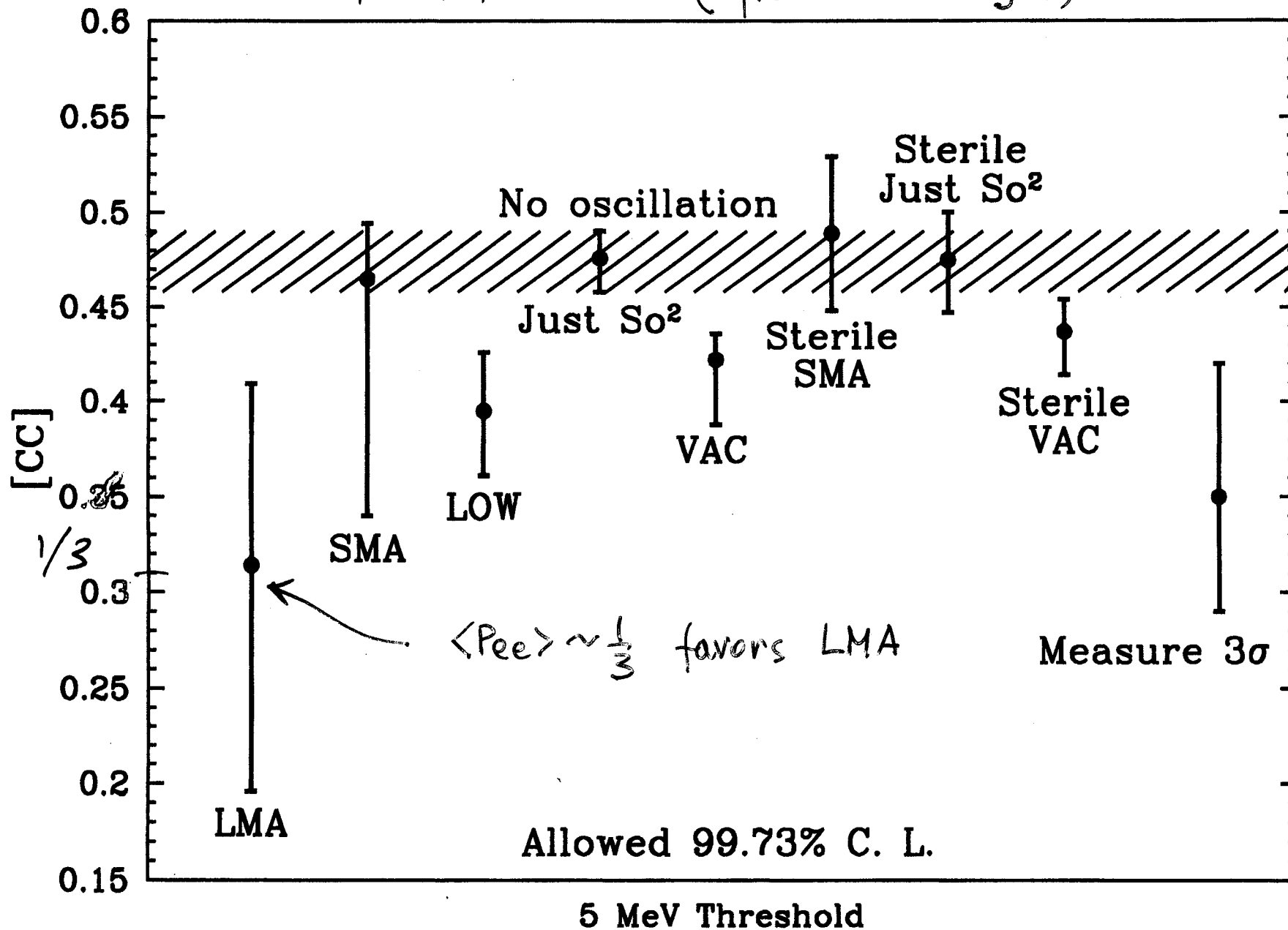
GENERIC ACTIVE OSCILLATIONS



$\langle P_{ee} \rangle$

- SSM confirmed ($f_B \sim 1$)
- Preferred value of $\langle P_{ee} \rangle$: $\sim \frac{1}{3}$

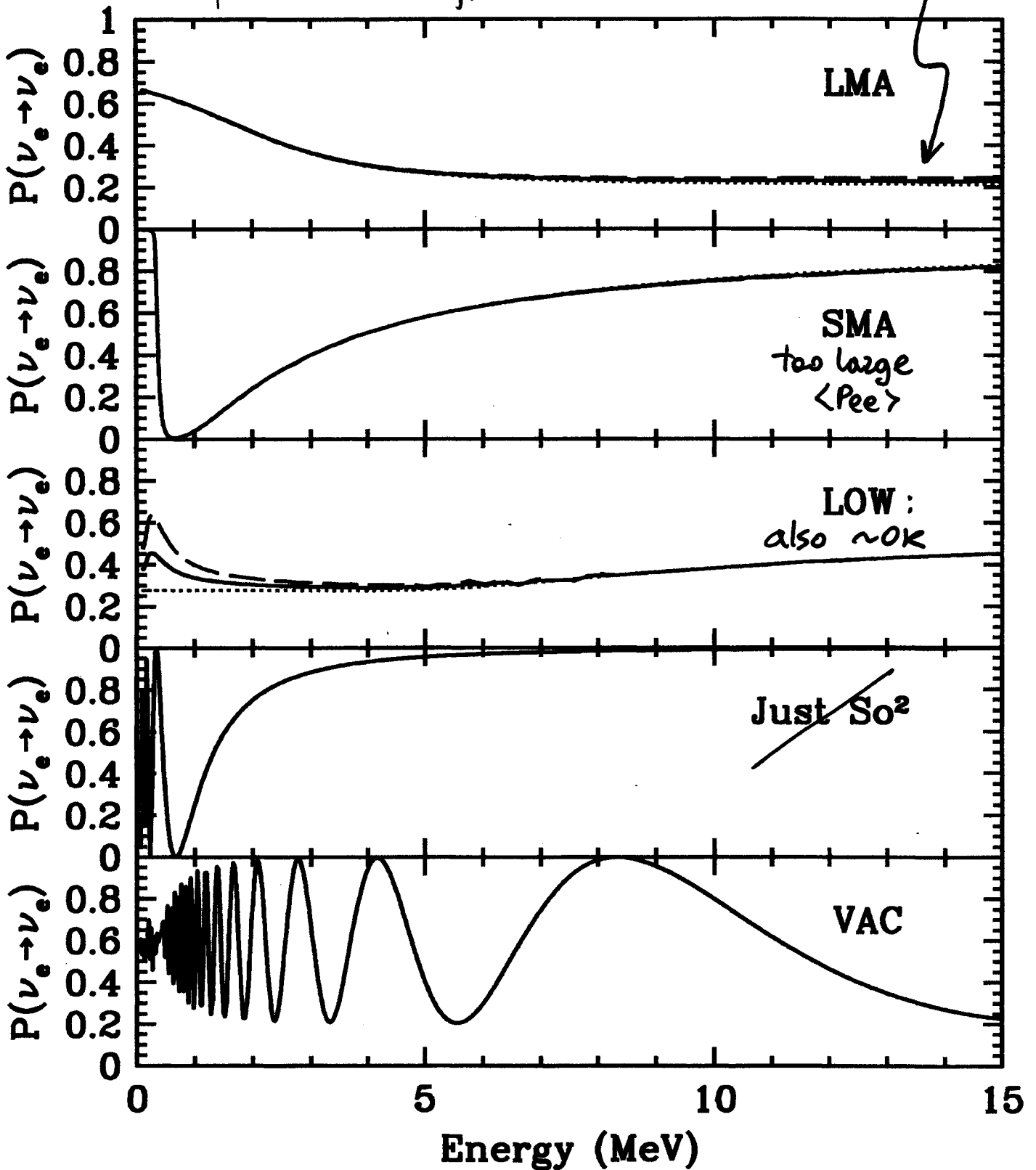
Balciull, Kraster, Smirnov (pre-SNO analysis)



In SNO/SK range:

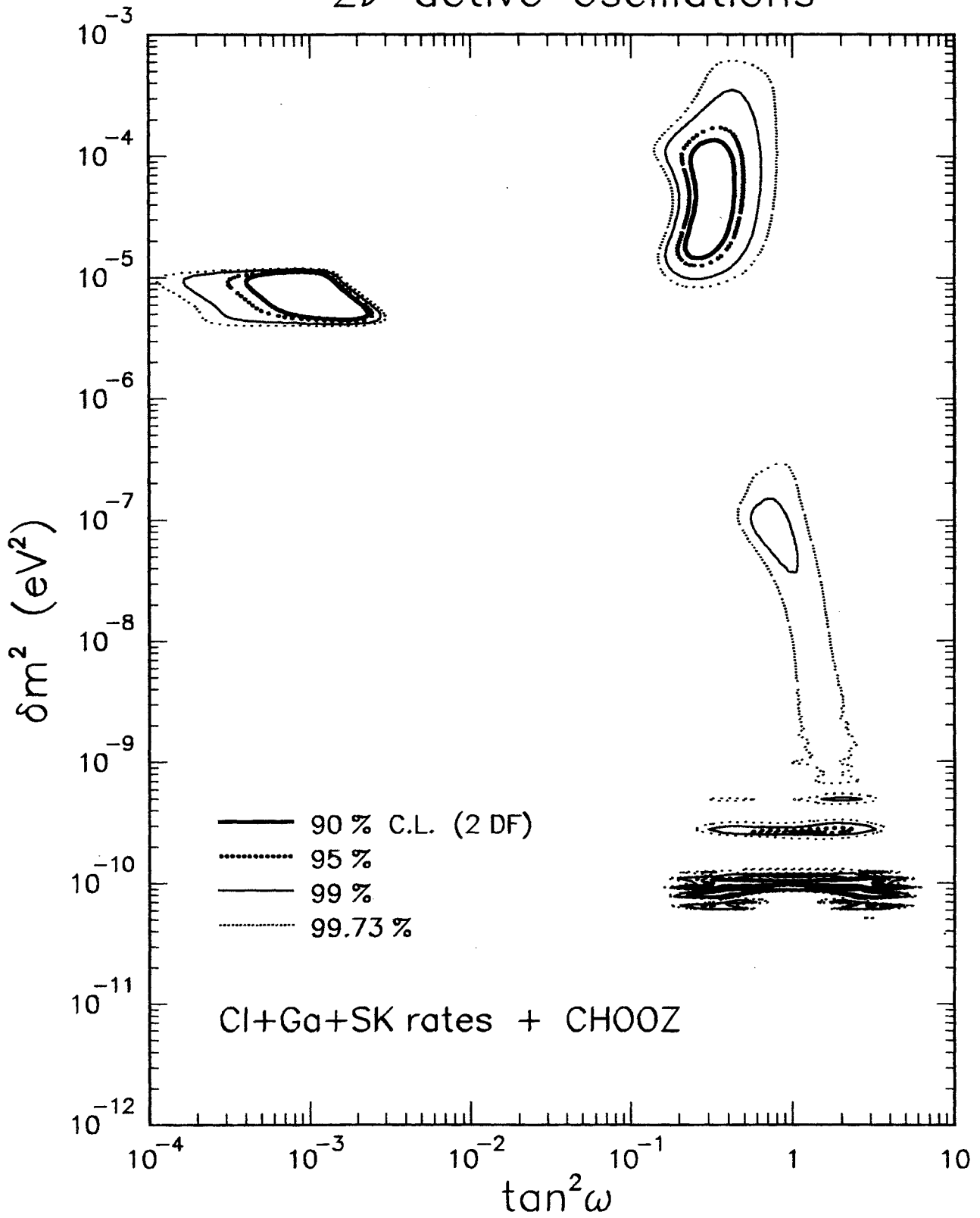
$$\langle P_{ee} \rangle \sim \frac{1}{3}$$

pre-SNO best fits

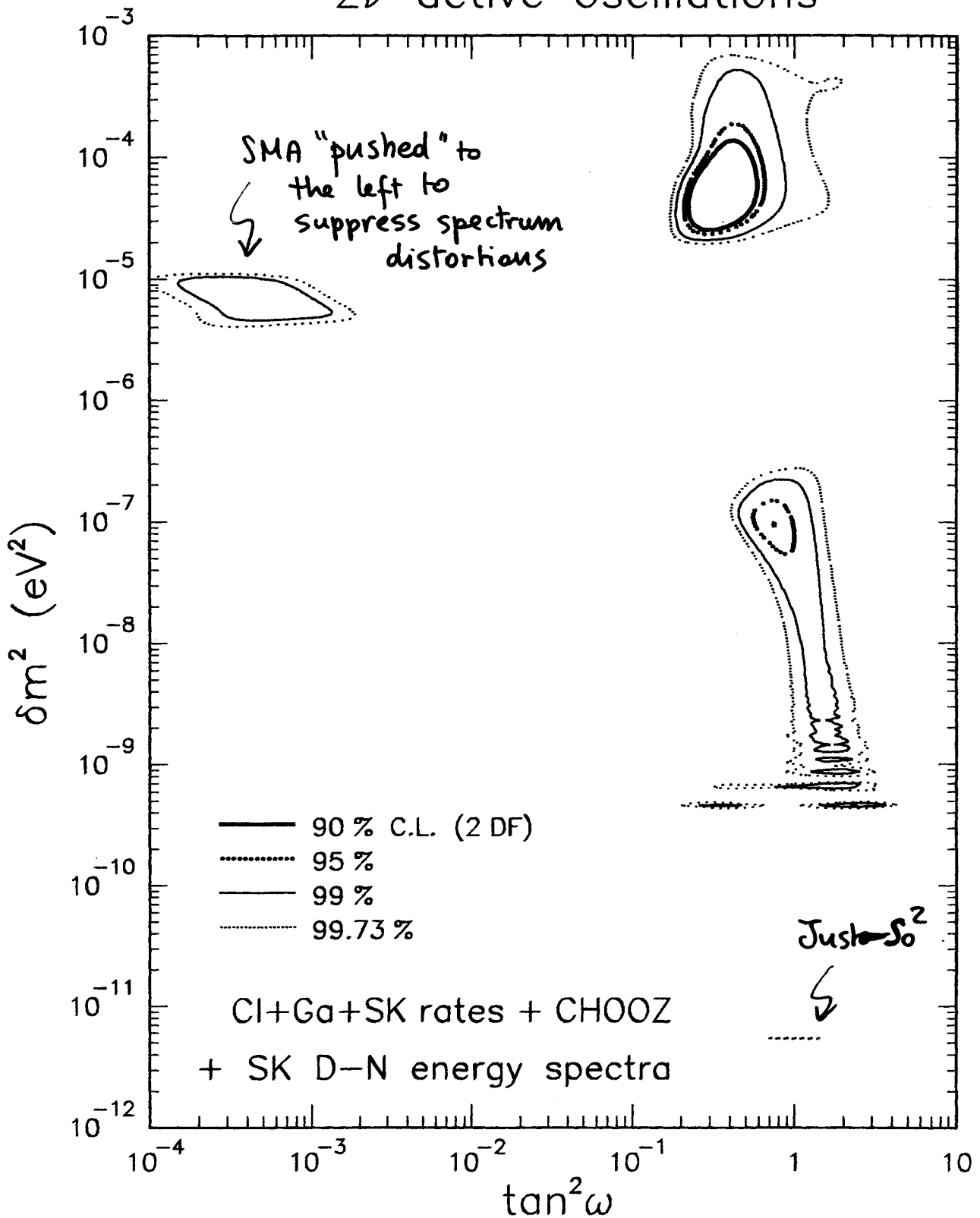


Total rates, pre-SNO

2ν active oscillations

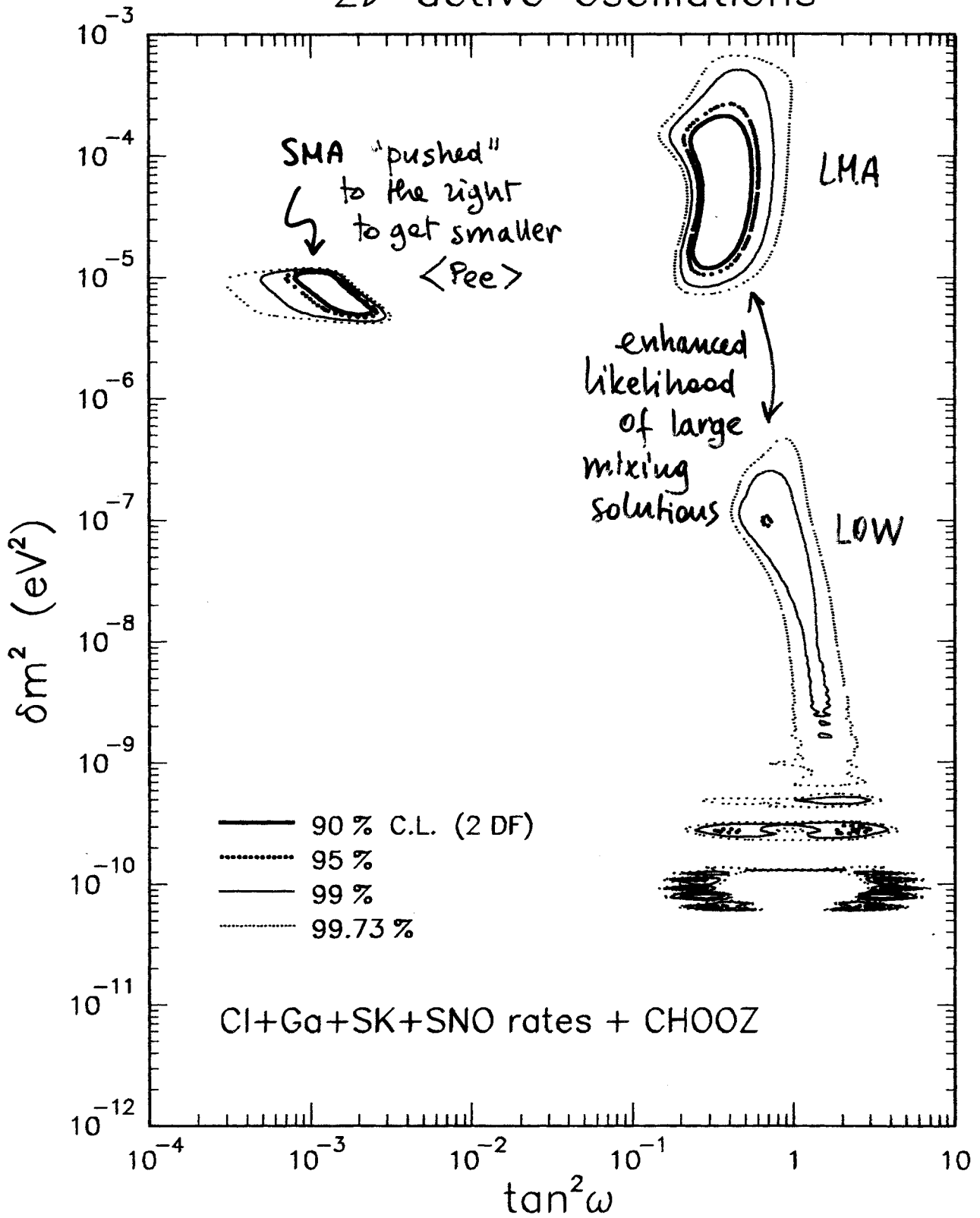


Total rates + SK spectrum, pre-SNO 2ν active oscillations



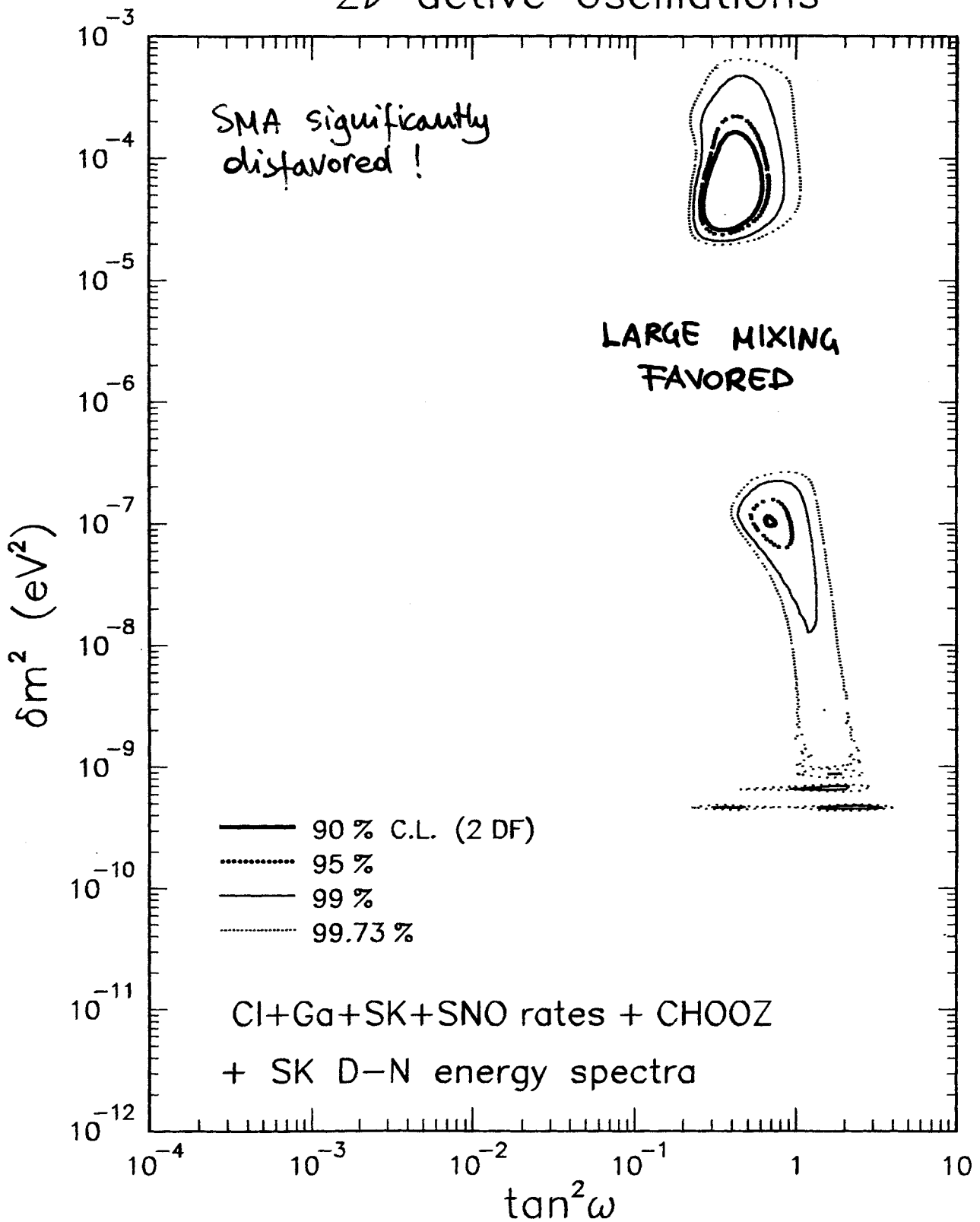
Total rates + SNO

2ν active oscillations



Total rates + SNO + SK Spectrum

2ν active oscillations



Fogli, E.L., Montanino, Palazzo

Previous 2ν active oscill. analysis
based on

1) Fogli, E.L., Montanino, Palazzo
hep-ph/0106247

Two more independent analyses
appeared:

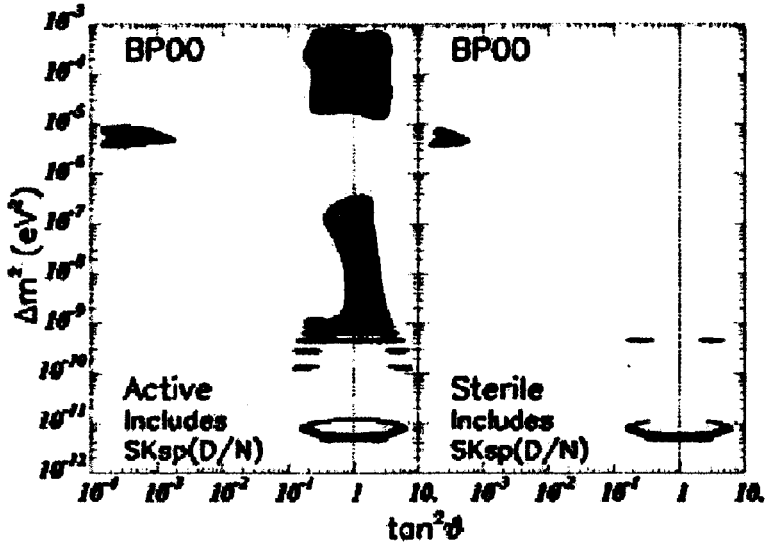
2) Bandyopadhyay, Choubey, Goswami, Kan
hep-ph/0106264
(\sim in agreement with previous one)

3) Bahcall, Gonzalez-Garcia, Peña-Garay
hep-ph/0106258
(gives less restrictive results in
parameter space)

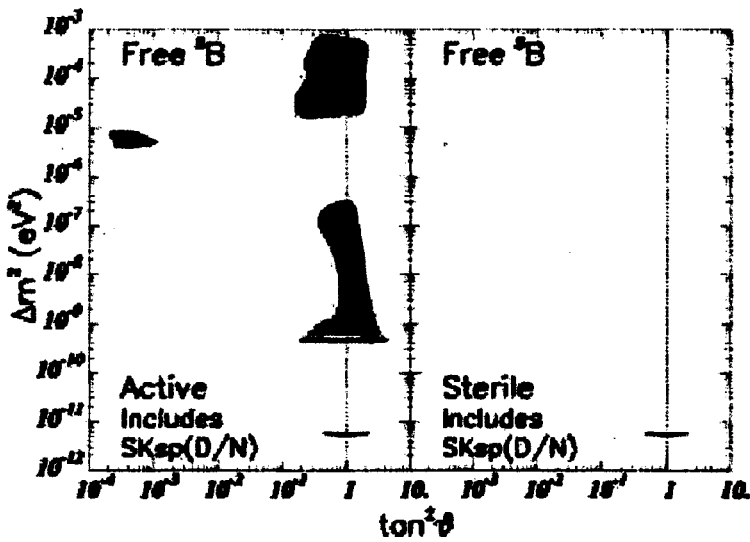
Both (2) and (3) analyze also
 $\nu_e \rightarrow \nu_s$ and find that it is
more disfavored (as expected) by
the addition of SNO data

Bahcall & al.

Global Analysis of Solar Neutrino Oscillations Including SNO CC Measurement

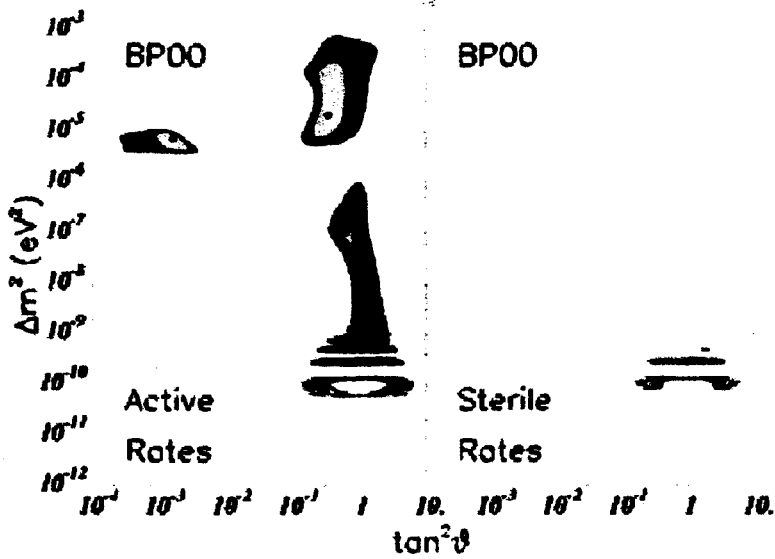


Global analysis with all available data and BP00 constraints.

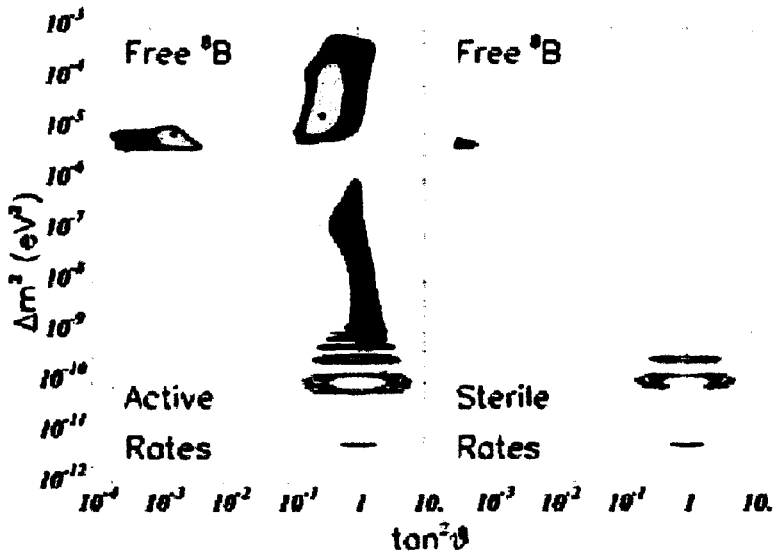


Global analysis with free ⁸B and all available data.

Bahcall & al.



Global analysis with rates only and BP00 constraints.



Global analysis with free ⁸B and rates only.

[Back to John Bahcall's Neutrino Viewgraphs](#)

Address questions and comments about this server to webmaster@sns.ias.edu

MORE ABOUT γ_s

If $\nu_e \rightarrow \nu_s$ channel open ($P_{es} \neq 0$) then:

$$\frac{CC}{STD} = f_B \langle P_{ee} \rangle$$

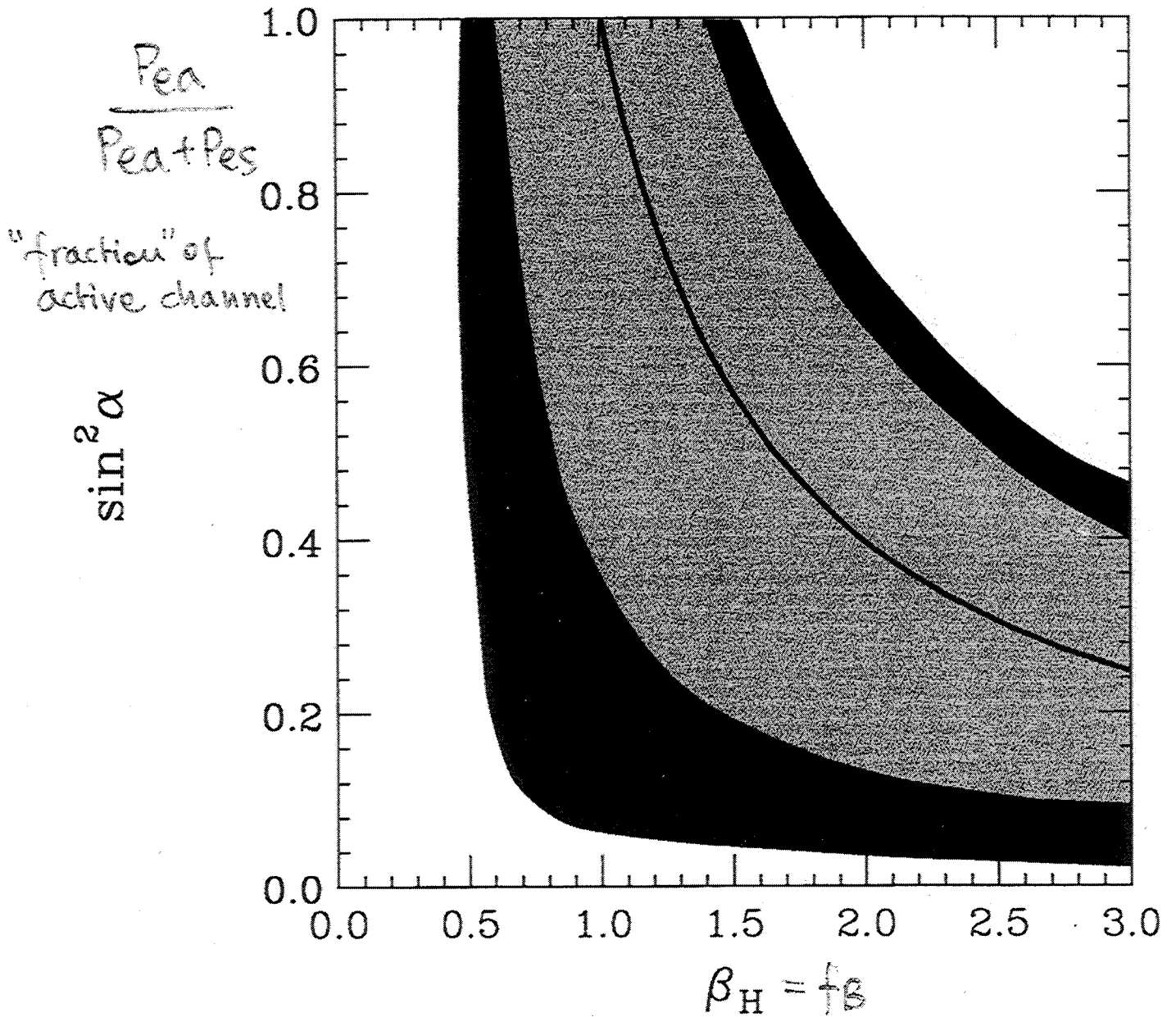
$$\frac{ES}{STD} = f_B \langle P_{ee} \rangle + f_B \frac{\sigma_M}{\sigma_e} \langle P_{ea} \rangle$$

→ cannot determine ($f_B, \langle P_{ee} \rangle, \langle P_{ea} \rangle$)
with two data

→ constraints on $\langle P_{es} \rangle = 1 - \langle P_{ee} \rangle - \langle P_{ea} \rangle$
can be obtained only if assumptions
are made on f_B (e.g., $f_B \sim 1$)

→ however, if one accepts $f_B > 1$,
 P_{es} can be a significant fraction
of the ν_e oscillation probability





Can tolerate large P_{es} (\equiv small fraction of active channel) if

$$f_B \sim 2 \div 3$$

Will constraints on P_{ee} improve after NC measurement in SNO?

Not much.

$$\begin{cases} \frac{CC}{STD} = f_B P_{ee} \\ \frac{ES}{STD} = f_B P_{ee} + f_B \frac{\sigma_a}{\sigma_e} P_{ea} \\ \frac{NC}{STD} = f_B P_{ee} + f_B P_{ea} \end{cases}$$

... look like 3 eq. in 3 unknowns (f_B, P_{ee}, P_{ea}), but...

$$\text{set } \begin{cases} x = f_B P_{ee} \\ y = f_B P_{ea} \end{cases}$$

$$\rightarrow \begin{cases} \frac{CC}{STD} = x \\ \frac{ES}{STD} = x + \frac{\sigma_a}{\sigma_e} y \\ \frac{NC}{STD} = x + y \end{cases}$$

→ with NC, (x, y) overconstrained (useful check), but still cannot separate factor f_B from P_{ee} (in x) or P_{ea} (in y)!

[Difficult to get rid of γ_s without priors on f_B .]

NEW
EXPERIMENTS :

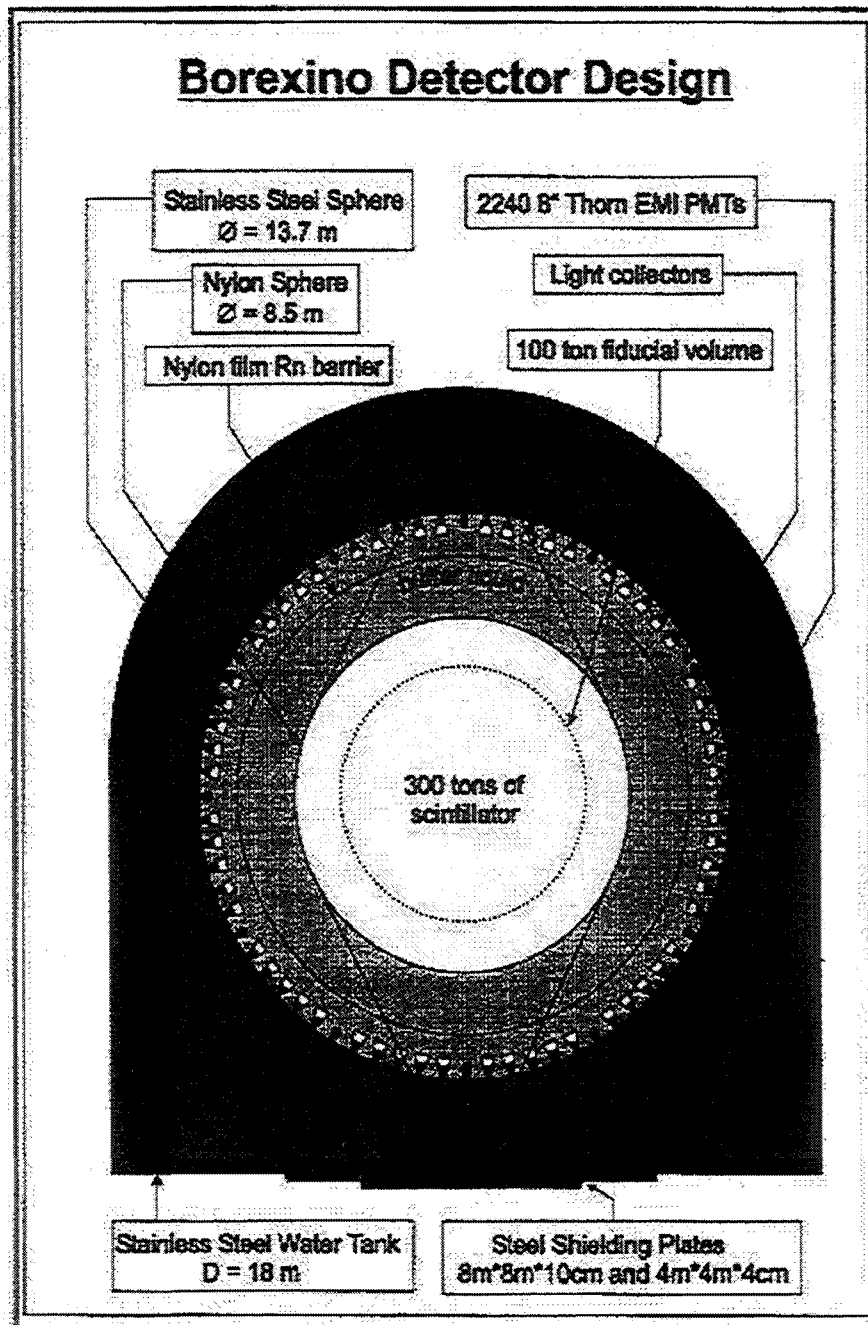
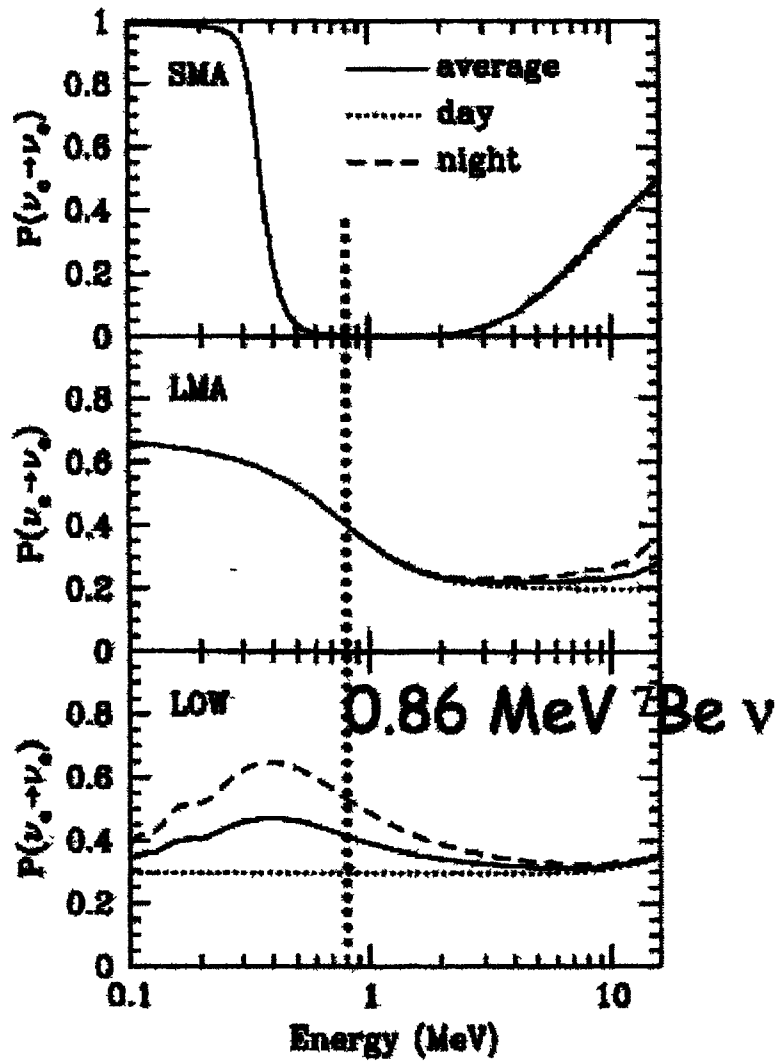


Figure 1. Schematic view of BOREXINO. The ultrapure scintillator (300t) inside a nylon vessel is shielded differentially by means of a liquid buffer (1040t), a steel sphere on which the tubes are mounted, and the outer water buffer which is contained in an external steel tank with dimensions of about 18m. A transparent nylon shroud hinders radon convection in the liquid buffer region. Additional tubes mounted on the outer surface of the steel sphere allow detection of penetrating muons via the Cherenkov effect.

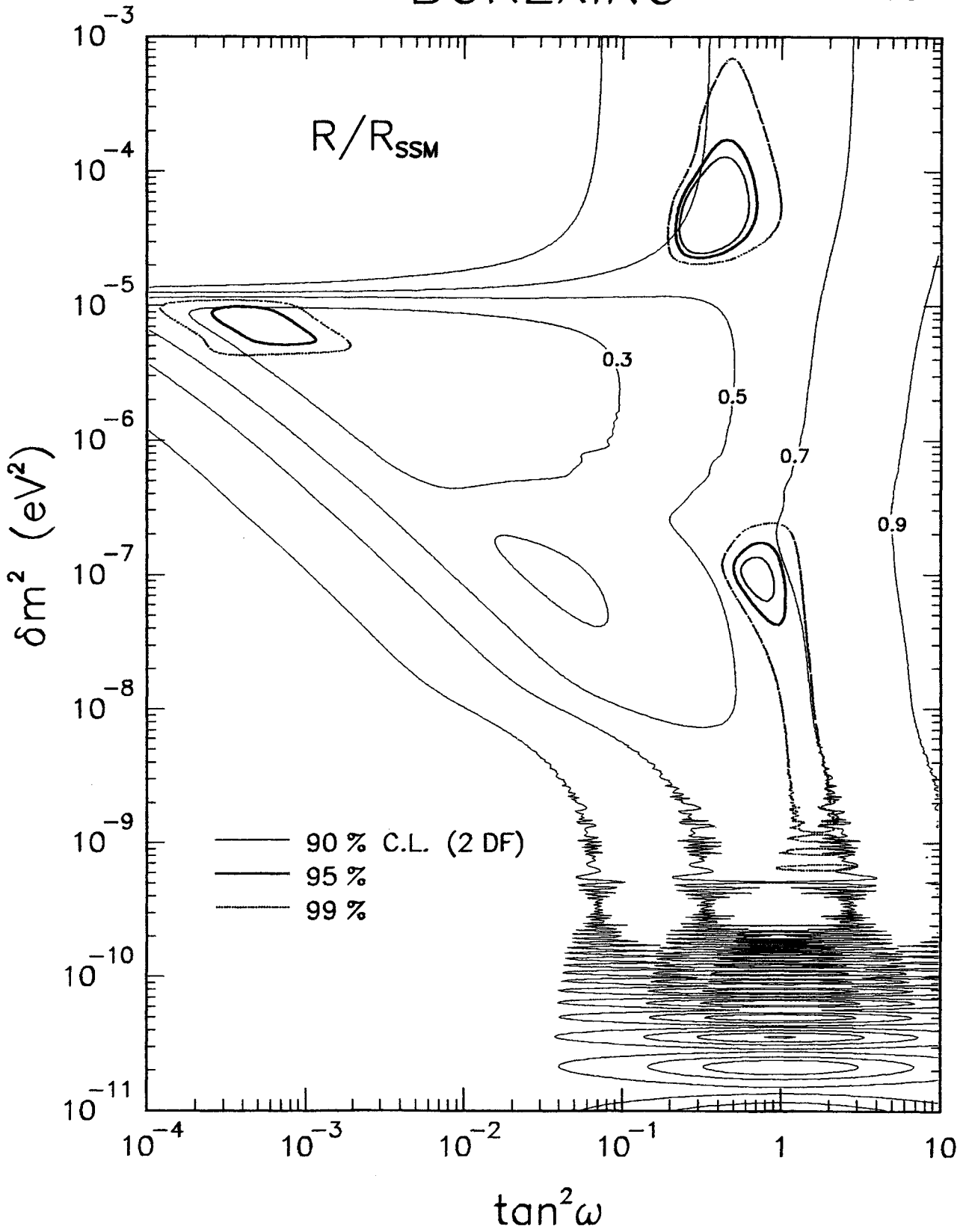
MSW

survival probability of ν_e upon its arrival on the Earth

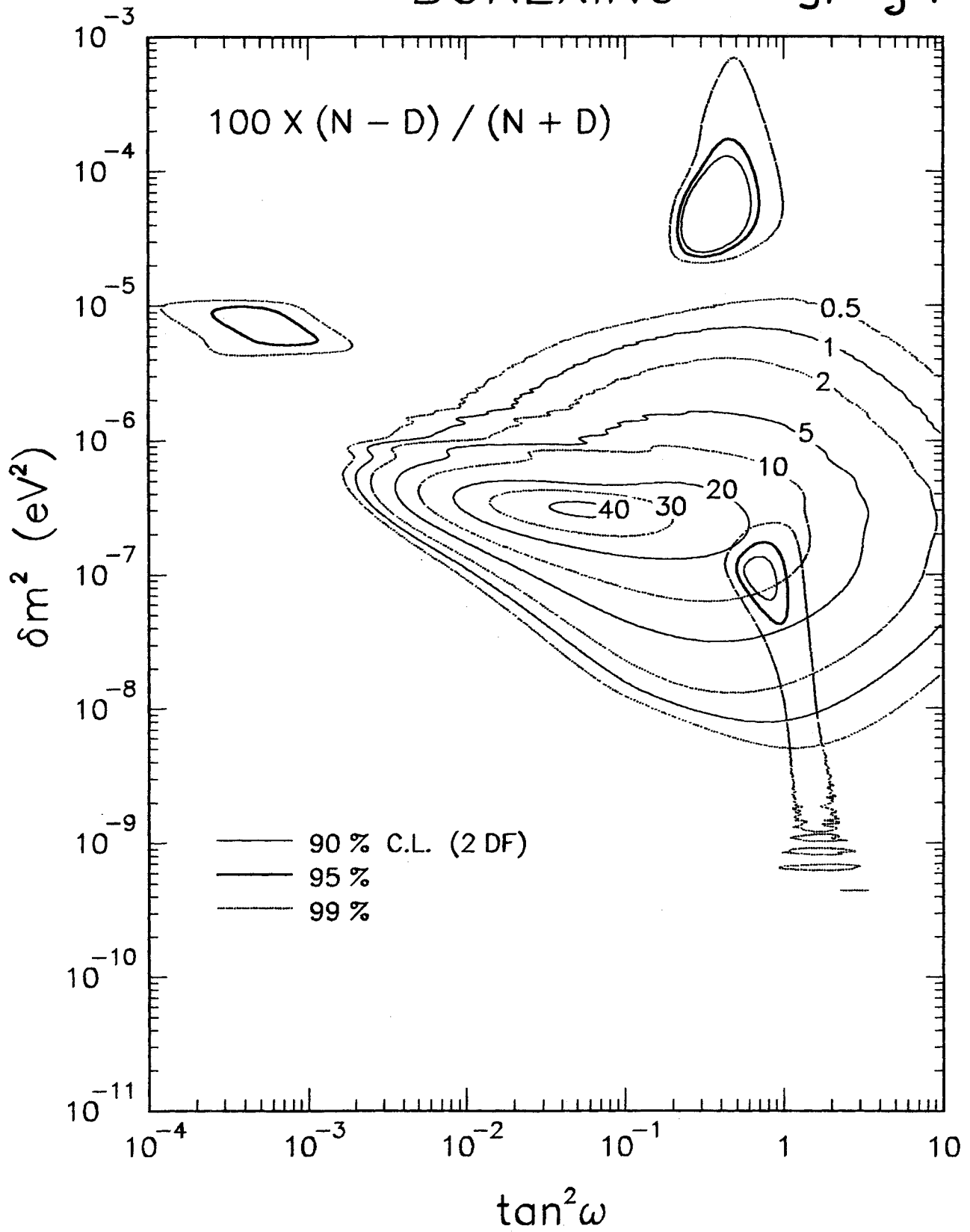
Survival Probabilities



BOREXINO Total rate

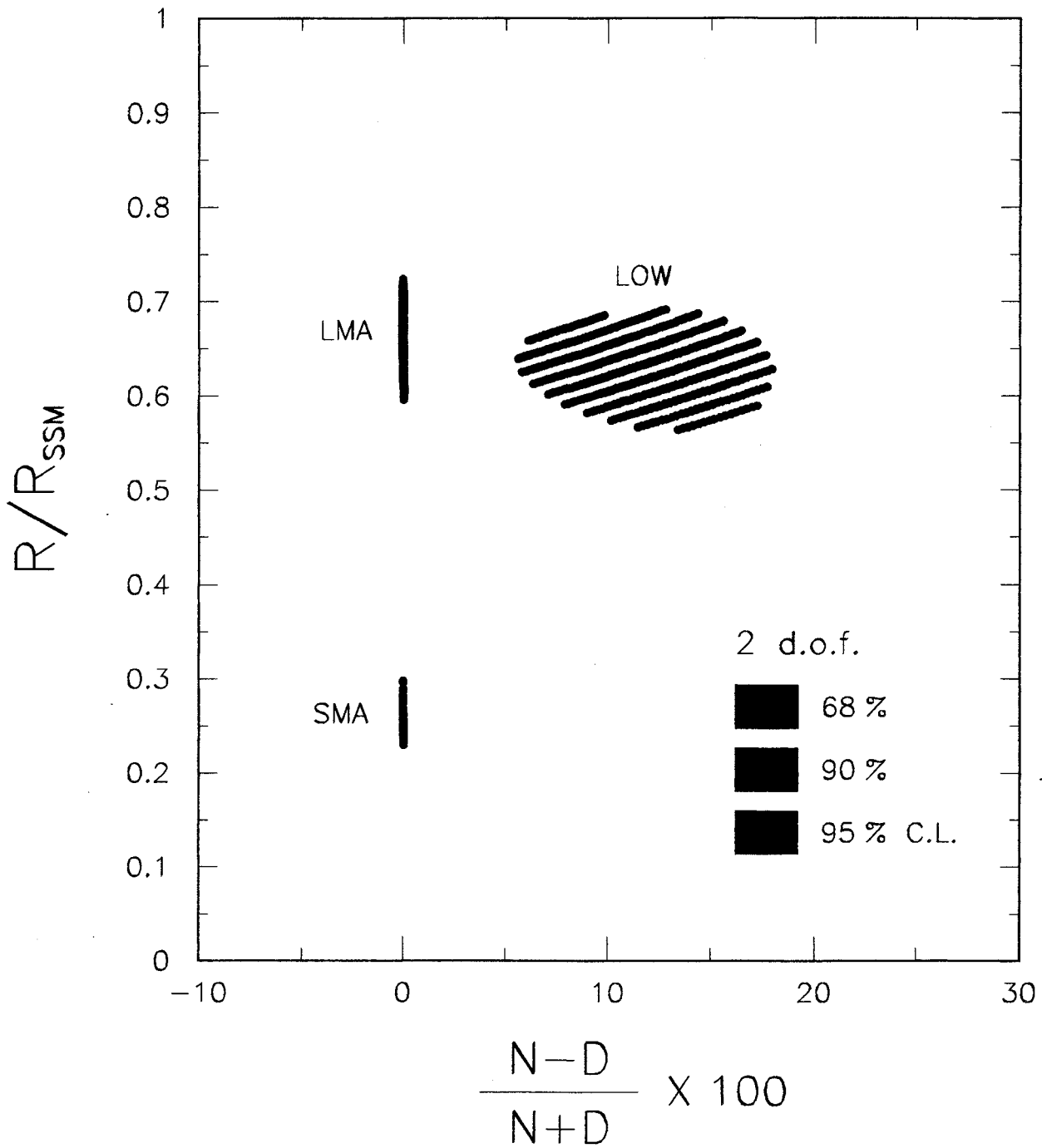


BOREXINO *day/night*



Total rate
vs. day/night

BOREXINO



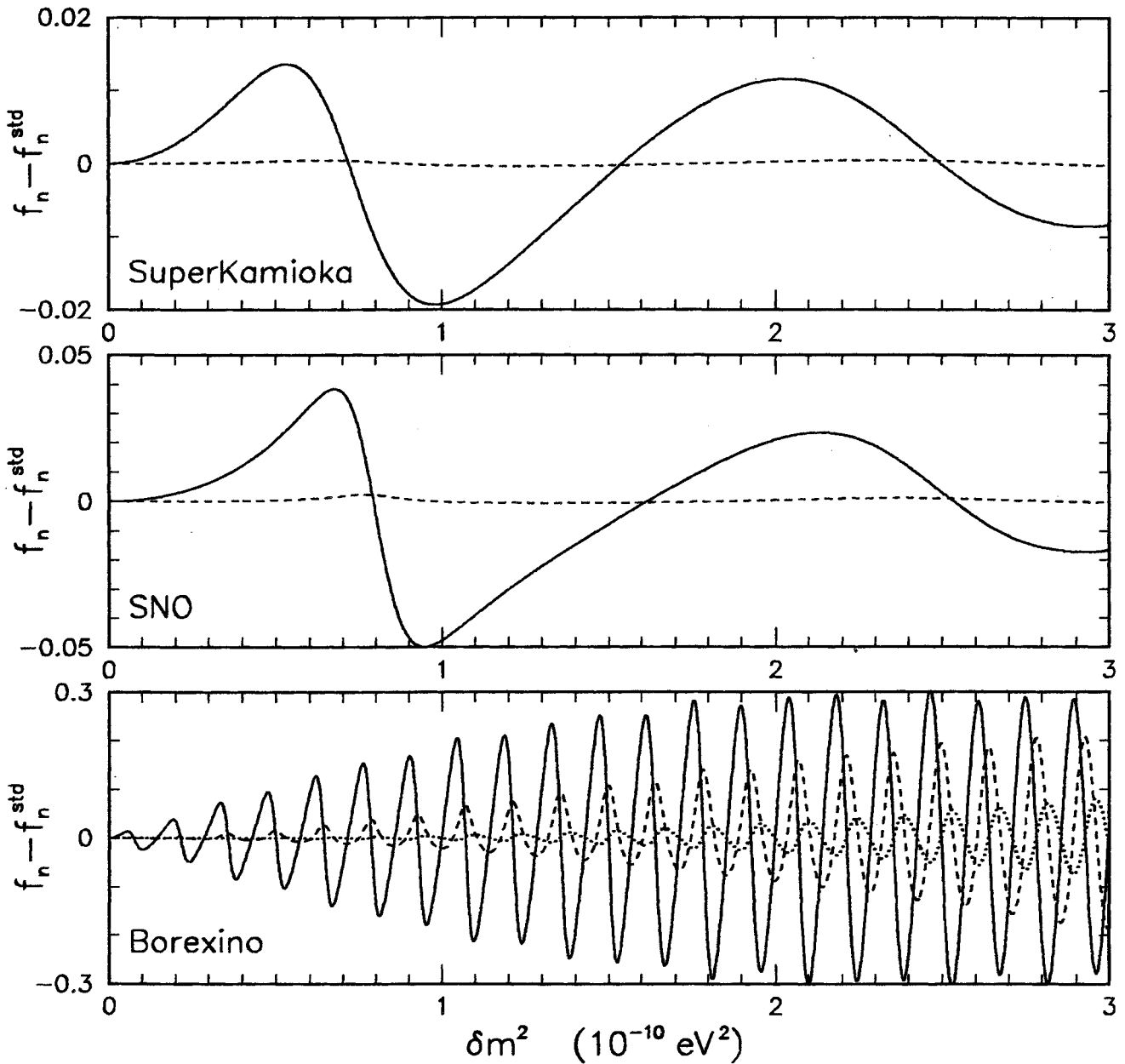
Faid, Fogli, E.L., Montanino

Deviations of Fourier coefficients from standard values

— $f_1 - \epsilon$
- - - f_2
⋯ f_3

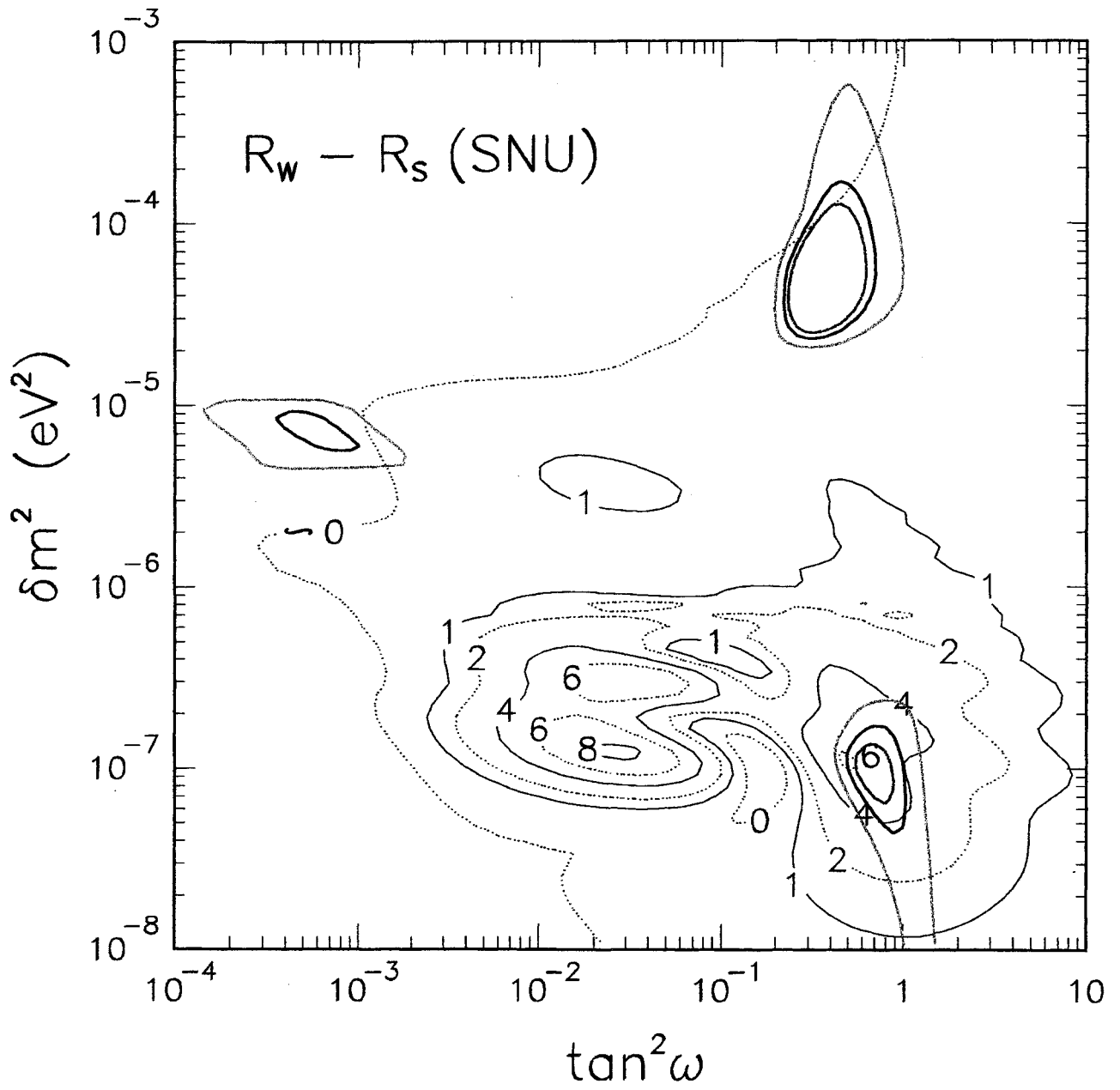
$\pm 1\sigma_{\text{stat}}$ ($N_S=10000, N_B=0$)

$\sin^2 2\vartheta = 1$



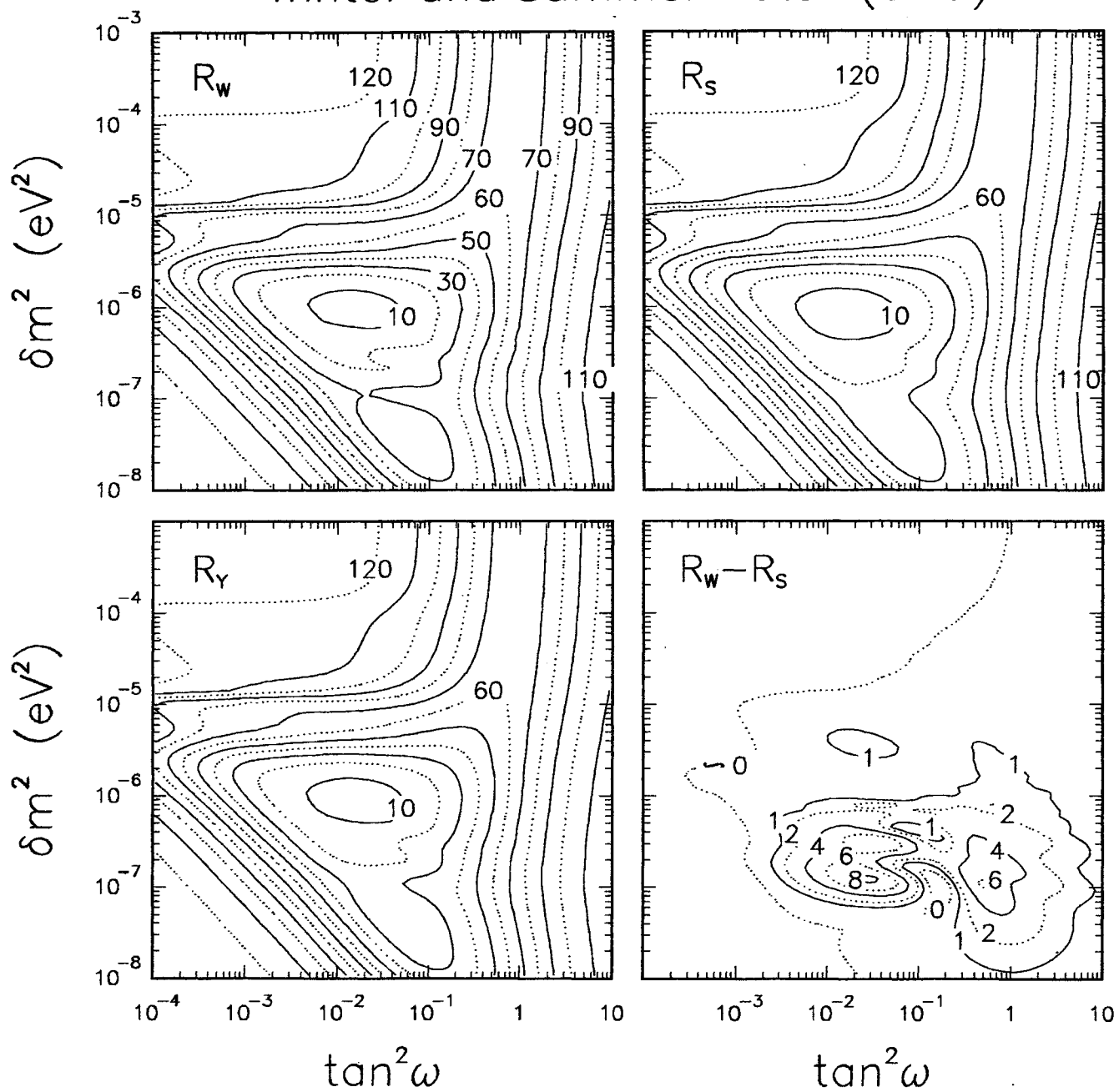
TIME VARIATIONS FOR VAC SOLUTIONS

GNO



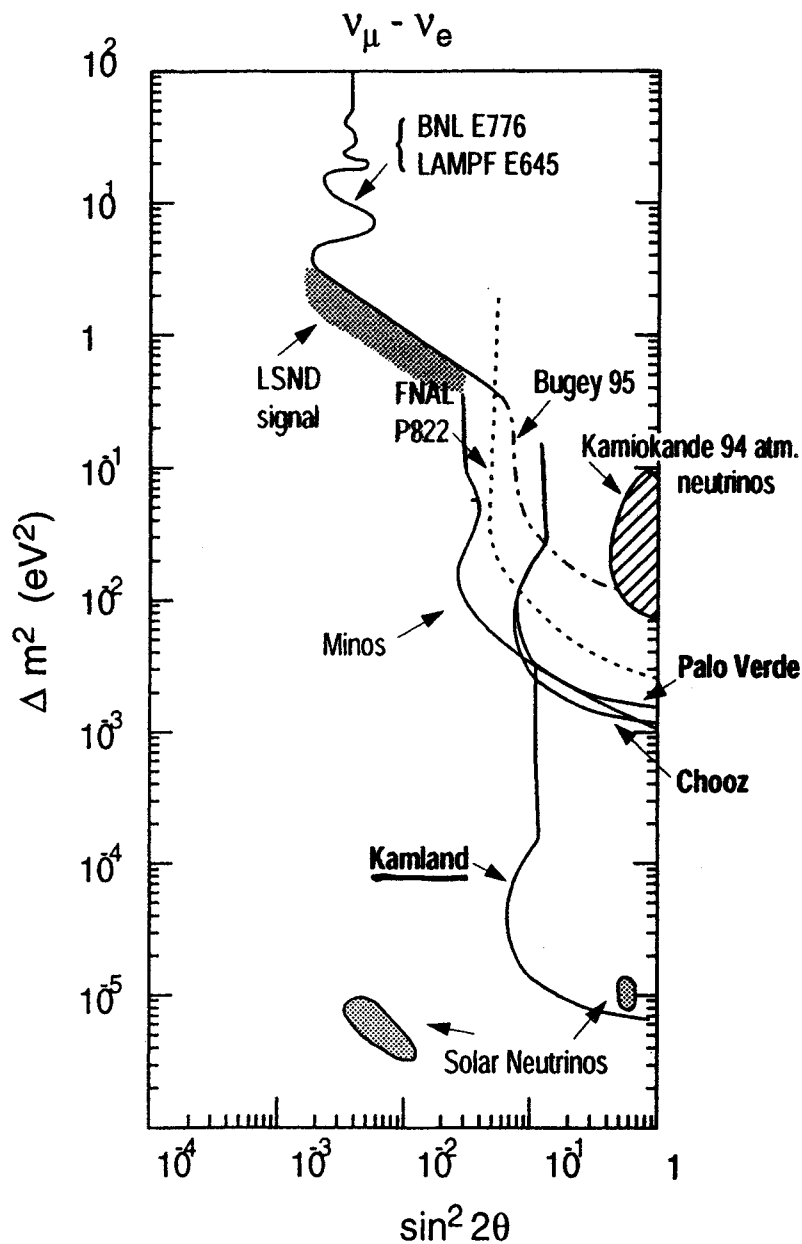
GNO

Winter and Summer Rates (SNU)



KamLAND : Long-baseline $\nu_e \rightarrow \nu_e$ disappear.
Direct laboratory test of LMA solution !

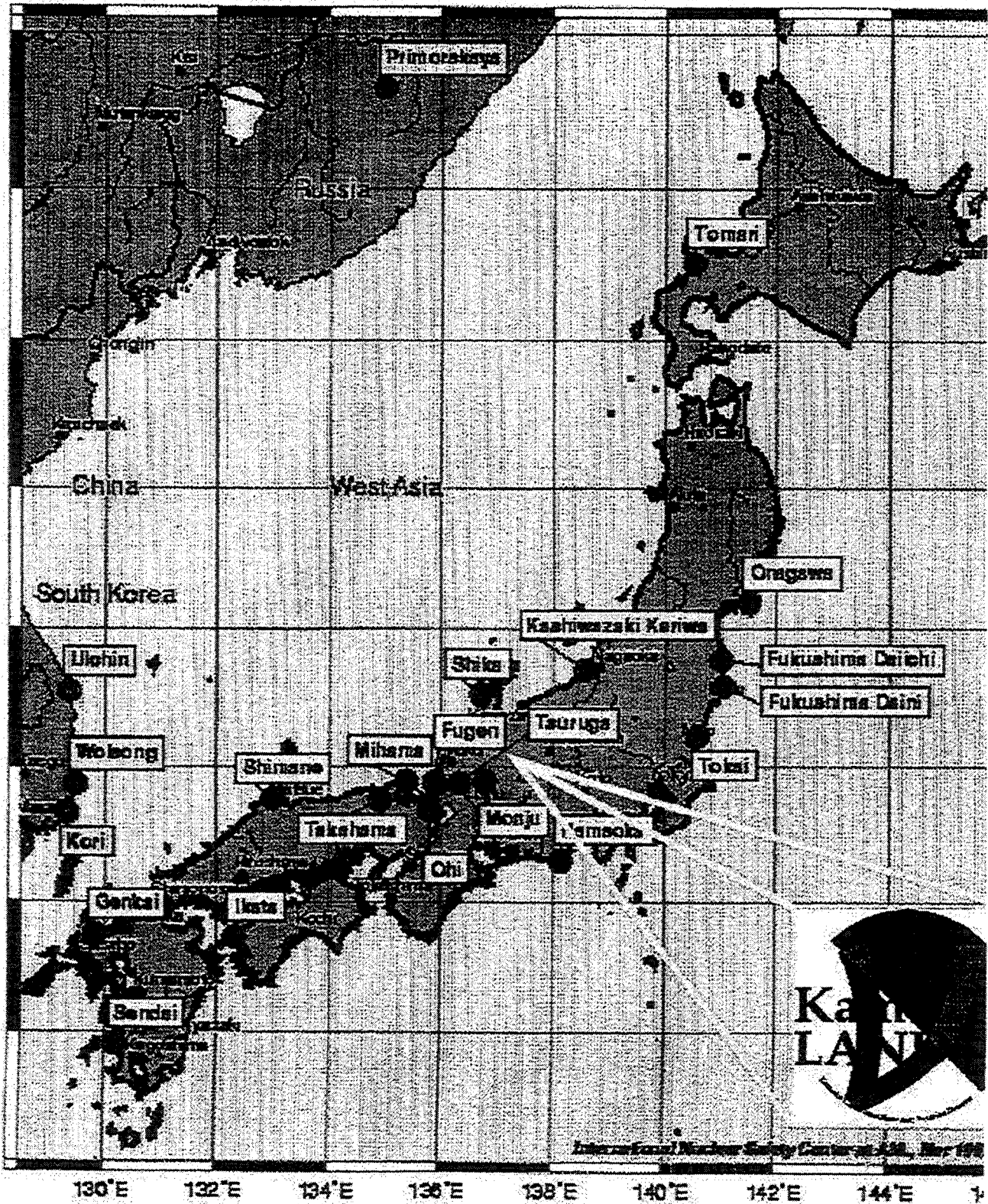
Sensitivity of KamLAND on $\nu_\mu - \nu_e$ Oscillation



(No sensitivity to LOW solution.)

KAMLAND

Reactor sites in Japan and vicinity



LMA mass-mixing parameters from KamLAND

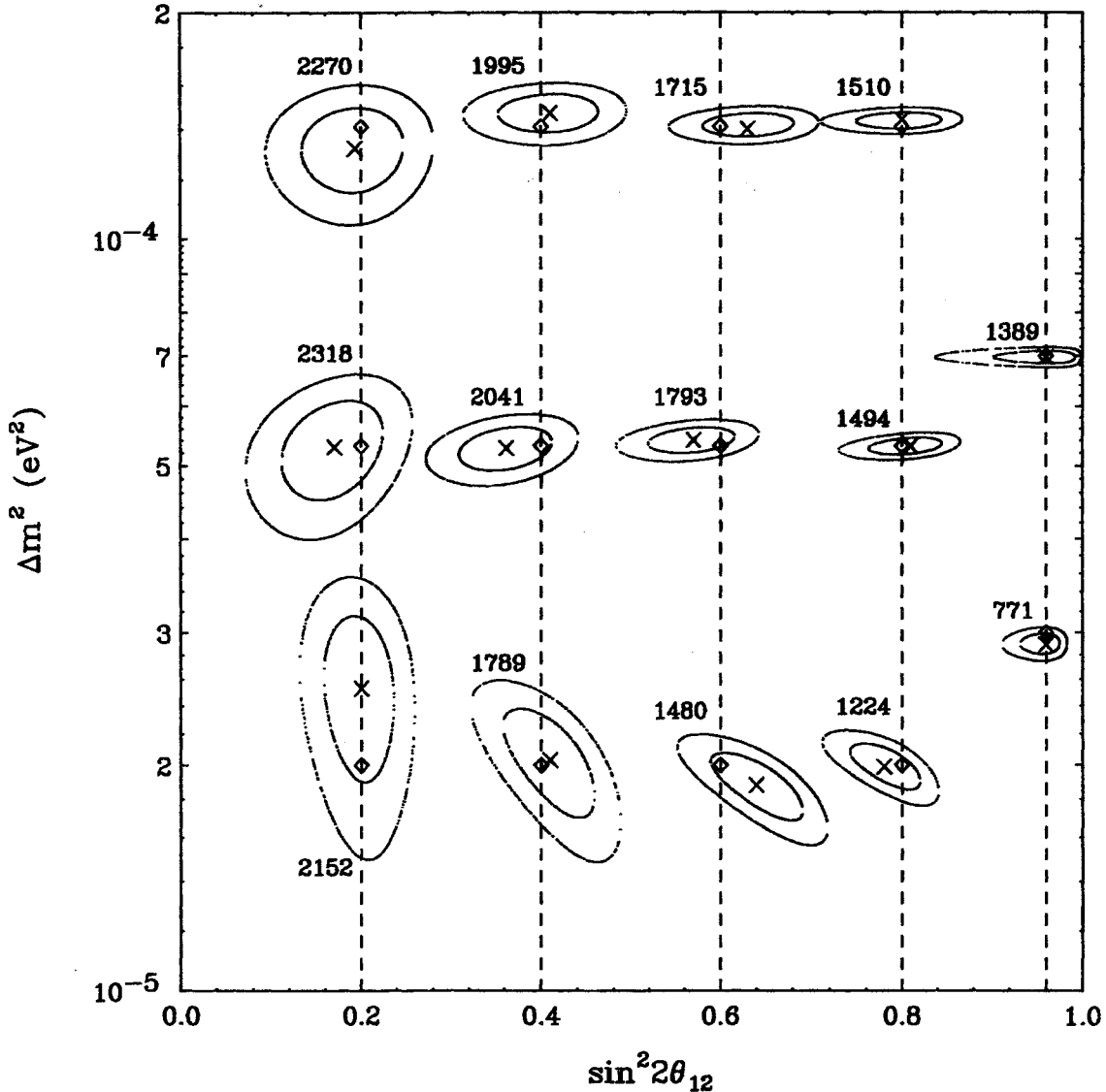


FIG. 3. Fits to e^+ spectra for values of Δm^2 and $\sin^2 2\theta_{12}$ covering the entire region of the LMA solution with $\theta_{13} = 0$. The 1σ (68.3%) and 2σ (95.4%) confidence contours are shown. The diamond is the theoretical value for which data was simulated and the cross marks the best fit point. Each point is labelled by the expected number of signal events in three years. If no oscillations occur, the expectation is 2400 events.

IF LMA CONFIRMED, GREAT IMPACT ON

- MODEL BUILDING
- γ FACTORIES
- $0\nu 2\beta$ BOUNDS
- FUTURE SOLAR γ EXPTS ...

THE FUTURE
OF ν PHYSICS
IS BRIGHT

