



INTERNATIONAL ATOMIC ENERGY AGENCY
UNITED NATIONS EDUCATIONAL, SCIENTIFIC AND CULTURAL ORGANIZATION
INTERNATIONAL CENTRE FOR THEORETICAL PHYSICS
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H4-SMR 1012 - 22

AUTUMN COLLEGE ON PLASMA PHYSICS

13 October - 7 November 1997

Cosmical MHD Phenomena

1. Solar Flares

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These are lecture notes, intended for distribution to participants.

Cosmical MHD Phenomena

I. Solar Flares

- A Laboratory for Magnetic Reconnection -

K. Shibata (NAO, Japan)

1. Introduction

- What is a solar flare ?
- Basic difficulty
- Magnetic reconnection theory
- Fundamental questions

2. Yohkoh Observations of Solar Flares

- Observational evidence of reconnection
- numerical simulation model

3. A Unified Model of Flares

4. Summary and Remaining Questions

What is a solar flare ?

explosion in the solar atmosphere

"sudden" release of a huge amount of energy

$$\sim 10^{29} - 10^{32} \text{ erg}$$

time scale \sim a few min - a few hours

size $\sim 10^4 - 10^5$ km

observed in all electromagnetic spectrum

white light (rare)

H α

radio

soft X-rays

hard X-rays

γ -rays

$\rightarrow 10^7$ K plasma

$\rightarrow 10$ keV - 1 MeV electrons

$\rightarrow 1 - 100$ MeV ions

Typical Flare Light Curve

INTRODUCTION

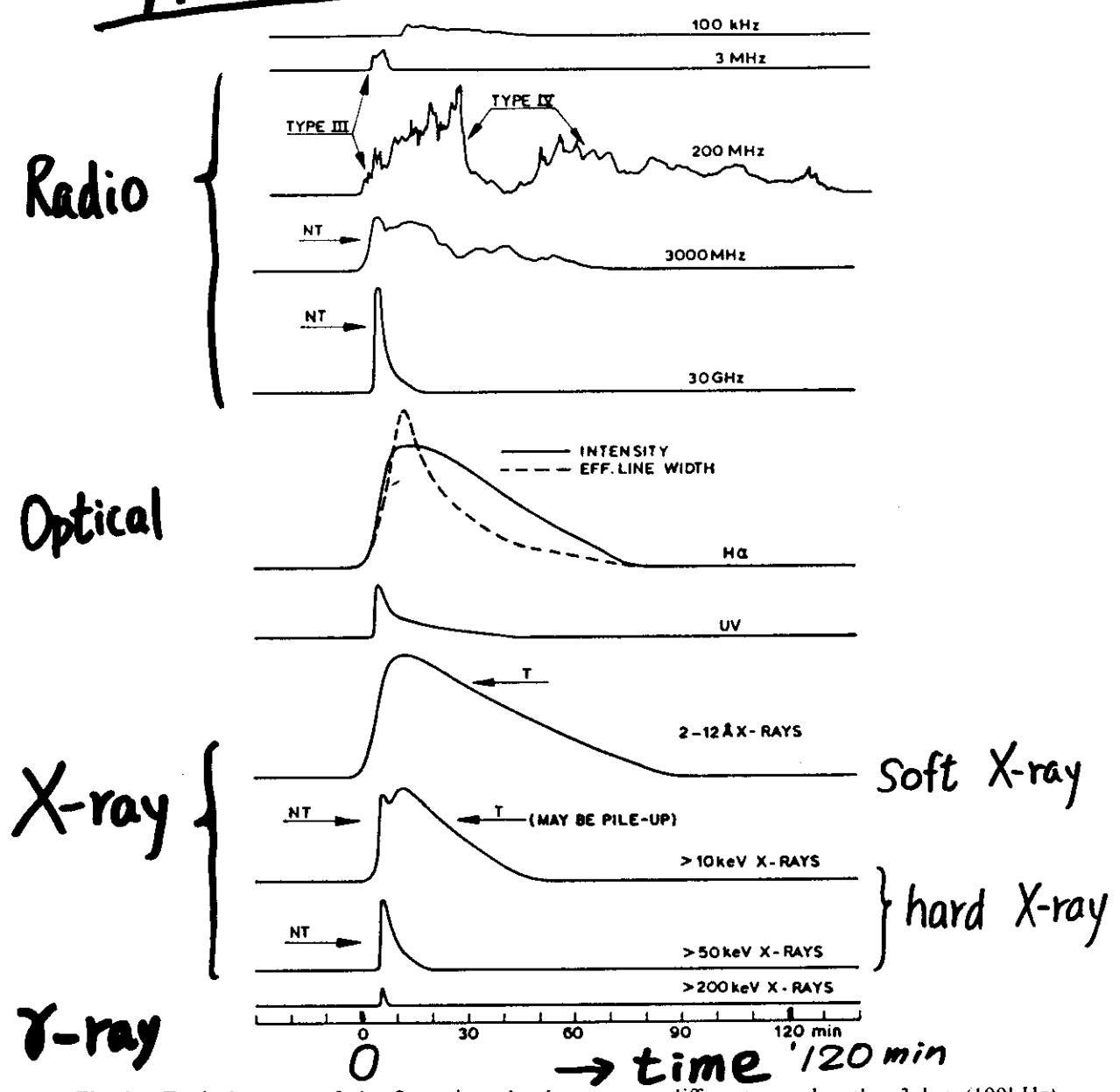


Fig. 2. Typical curves of the flare time development at different wavelengths: 3 km (100kHz) 100 m (3 MHz), 1.5 m (200 MHz), 10 cm (3000 MHz), 1 cm (30 GHz), 6563 Å (H α), 300-1500 Å (UV), 2-12 Å, <1.2 Å (>10 keV), <0.25 Å (>50 keV), and <0.06 Å (>200 keV). NT indicates a non-thermal and T a quasi-thermal component of a burst. The lowest frequency is recorded in a radio type III, and the highest one in a hard X-ray burst. In exceptional cases, a γ -ray burst at still higher frequencies can be observed, with time development probably similar to the hard X-ray burst, but slightly delayed (cf. Figure 118).

from Svestka "Solar Flares" (1976)

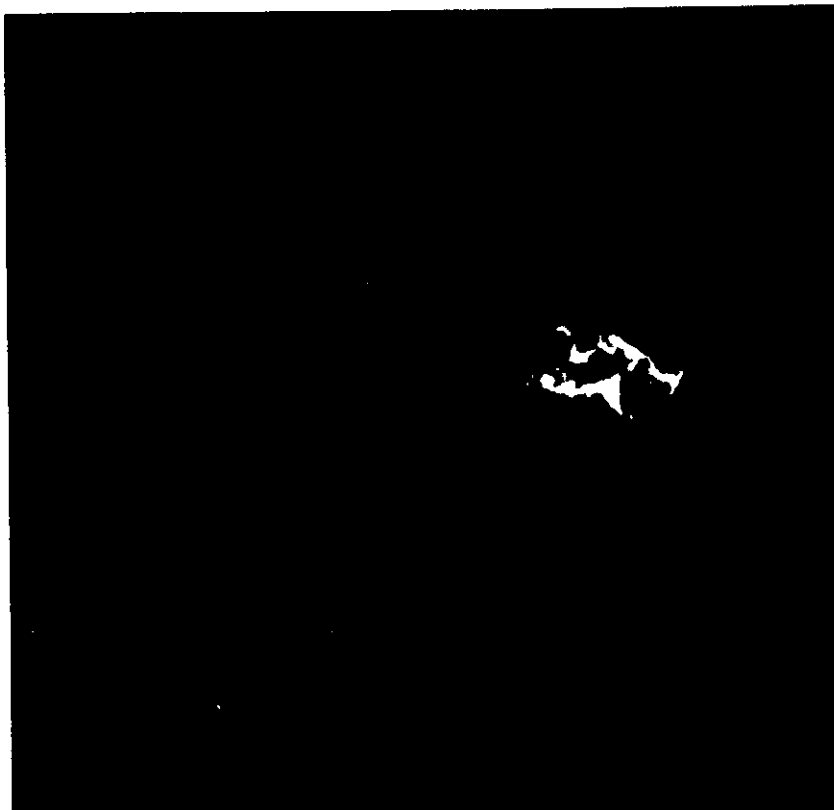
Figure 3 shows in a schematic way the energy range of protons and electrons that are produced in flares and either can be observed directly in space or deduced from effects they produce on the Sun. The curve shows the maxwellian distribution of thermal particles which exists in each flare at temperatures between several million degrees and more than 10^7 deg (here $T = 10^7$ K has been chosen as an example).

A Solar Flare Observed in H α Image

H α (水素のバルマー線) で見た 太陽フレア

1982年9月4日

兼範



energy source

magnetic energy stored
in the solar atmosphere

$$E_{\text{mag}} = \frac{B^2}{8\pi} L^3$$
$$\approx 4 \times 10^{32} \text{ erg} \left(\frac{B}{100\text{G}} \right)^2 \left(\frac{L}{10^{10}\text{cm}} \right)^3$$

this is sufficient to explain
observed total energy of flares

$$10^{29} - 10^{32} \text{ erg}$$

Basic difficulty to understand flares

observed time scale: $t_{\text{flare}} \approx$ a few min -
a few hours

magnetic diffusion time: t_D

$$\begin{aligned} t_D &= \frac{L^2}{\eta_{\text{spitzer}}} \\ &\approx 10^{14} \left(\frac{L}{10^9 \text{ cm}} \right)^2 \left(\frac{T}{10^6 \text{ K}} \right)^{\frac{3}{2}} \text{ sec} \\ &\approx 3 \times 10^6 \text{ year} ! \gg t_{\text{flare}} \end{aligned}$$

Alfven time: t_A

$$\begin{aligned} t_A &= \frac{L}{V_A} \\ &\approx 10 \left(\frac{L}{10^9 \text{ cm}} \right) \left(\frac{B}{10 \text{ G}} \right)^{-1} \left(\frac{\eta}{10^9 \text{ cm}^2 \text{ s}^{-1}} \right)^{1/2} \text{ sec} \end{aligned}$$

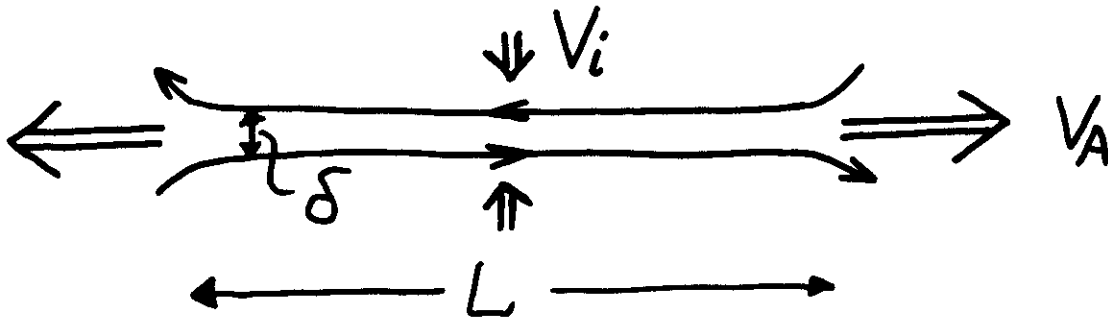
magnetic Reynolds number

$$R_m = \frac{V_A L}{\eta_{\text{spitzer}}} = \frac{t_D}{t_A} \approx 10^{13} \gg 1$$

Magnetic Reconnection Theory

Sweet - Parker model (1957)

effect of flow



$$\delta = L R_m^{-\frac{1}{2}}$$

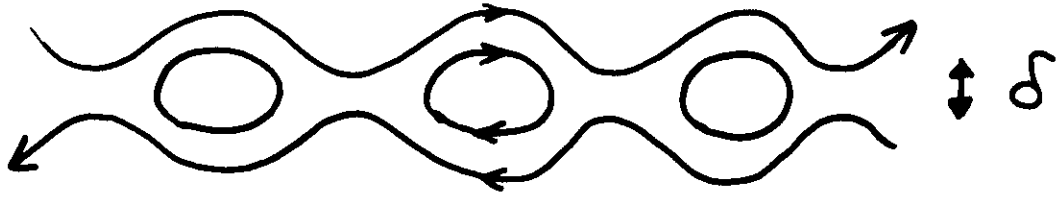
$$V_i = V_A R_m^{-\frac{1}{2}}$$

$$t_{\text{rec}} = \frac{L}{V_i} = t_A R_m^{\frac{1}{2}} \gg t_{\text{flare}} \approx 10-100 t_A$$

$$\left(\begin{array}{l} R_m = \frac{V_A L}{\eta_{\text{spitzer}}} \approx 10^{13} \\ t_A = L/V_A \end{array} \right)$$

much faster than simple diffusion
but still much slower than
real solar flare

Tearing Instability (Furth, Killeen,
Rosenbluth 1963)



$$t_{\text{tearing}} \sim (t_D t_A)^{\frac{1}{2}}$$
$$\sim t_A R_m^{\frac{1}{2}} \gg t_{\text{flare}}$$

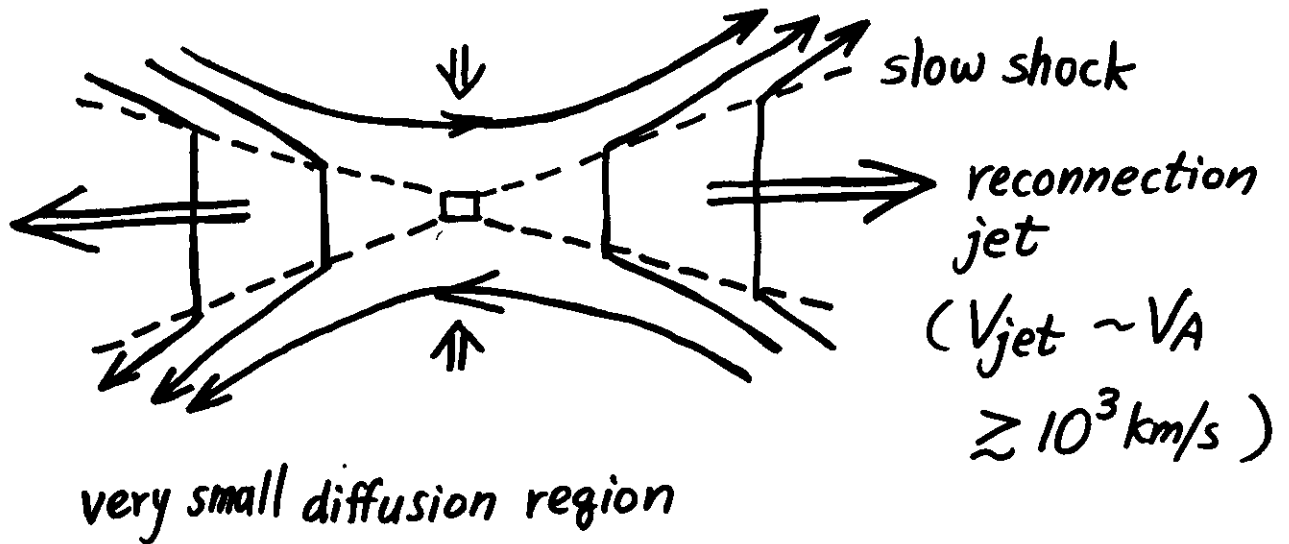
$$t_D \equiv \frac{\delta^2}{\eta}$$

$$t_A \equiv \frac{\delta}{V_A}$$

$$R_m \equiv \frac{\delta V_A}{\eta}$$

Petschek model (1964)

effect of slow shock : $\frac{B^2}{8\pi} \rightarrow \frac{1}{2} \rho v^2$



$$t_{\text{rec}} \approx 10 - 100 t_A \sim t_{\text{flare}} !$$

$(\propto R_m^0)$

Numerical Simulation

Ugai and Tsuda (1977)

Sato and Hayashi (1979)

confirmed Petschek model

Controversies

Biskamp (1986) criticized Petschek model, and showed external driving under uniform resistivity does not lead to fast (Petschek) reconnection.

Priest and Forbes (1989)

boundary condition (external driving) is essential for fast reconnection

Tajima and Sakai (1986, 89)

localized current distribution with nonsteady effect can lead to fast (explosive) reconnection

Ugai (1986-97), Scholer (1987), Jamitzky (1997), Yokoyama-Shibata (1994)

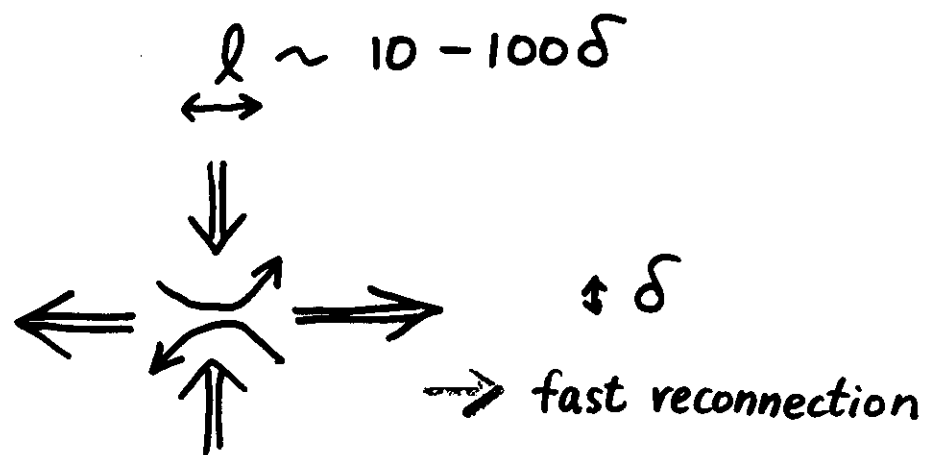
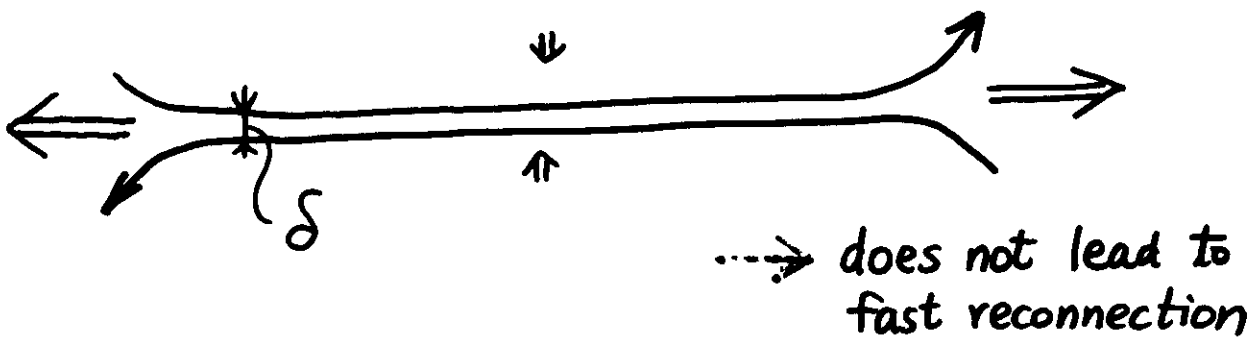
partly in agreement with Biskamp (1986), but showed that

localized resistivity (such as anomalous resistivity) can lead to fast reconnection

↙ needs very small scale

$$r_{\text{ion-Larmor}} \sim 10^2 \text{ cm} \ll L_{\text{flare}} \sim 10^9 \text{ cm}$$

We need not only thin current sheets
but also localized current sheets



What is the condition for localized
current sheet ?

Fundamental questions

- What is the condition for fast reconnection ?
(localized current sheet)
- Is magnetic reconnection really occurring in solar flares ?
- If yes, is magnetic reconnection important in solar flares ?

[Note that there are many anti-reconnection models for flares
e.g., Alfvén, Akasofu, ...
Feldman, ...]

2. Yohkoh Observations of Solar Flares

Yohkoh = 陽光 "sun beam"
ようこう

Solar X-ray observing satellite

launched on Aug. 30, 1991

(Japan-US-UK project)

{	soft X-ray telescope (SXT)	~ 1 keV thermal plasma ($2-20 \times 10^6$ K)
	hard X-ray telescope (HXT)	10-100 keV non-thermal electron

Yohkoh discovered that

- solar corona is much more dynamic than had been thought
- a lot of evidence of reconnection in flares (e.g., cusp, plasmoid, jets, ...)

9-158-N



9-158-N

THE UNIVERSITY OF MICHIGAN LIBRARY

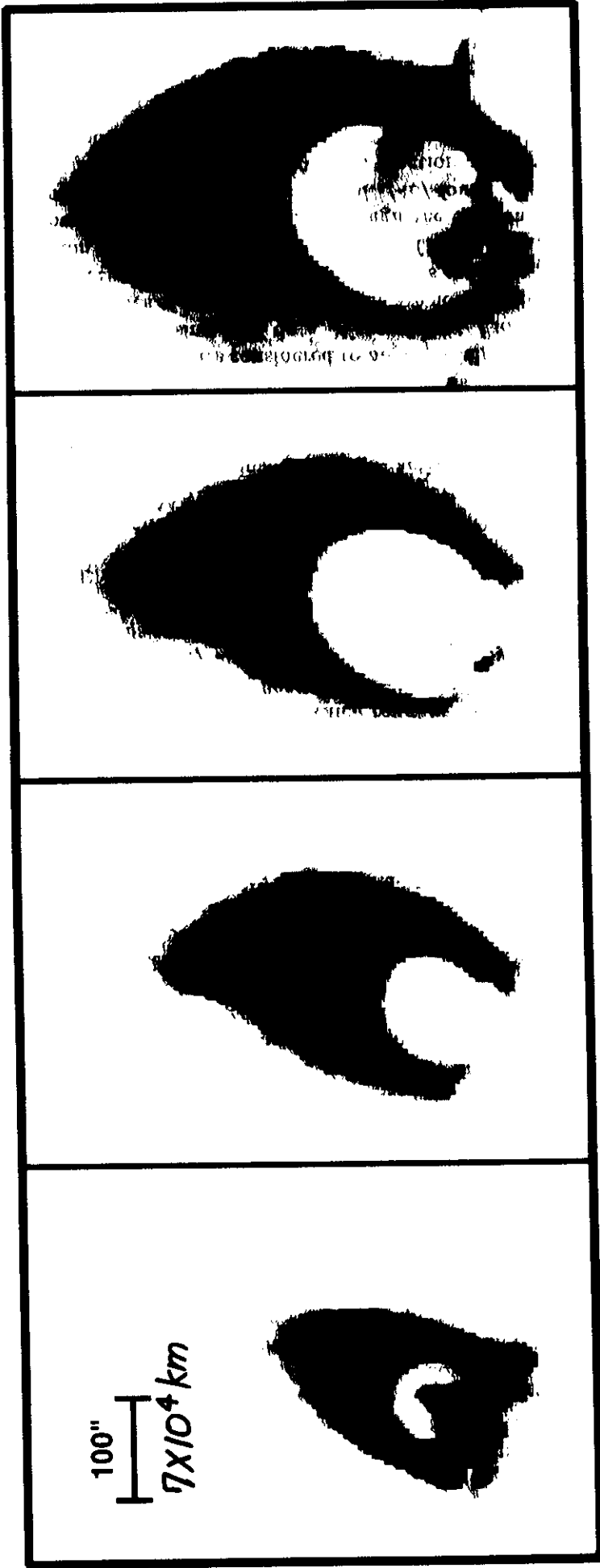
Cusp-shaped Flare

Tsuneta (1992, 1996)

Filter : Al.1

SXT Image

21-FEB-1992 Flare



03:10:30 UT

04:52:22 UT

06:35:30 UT

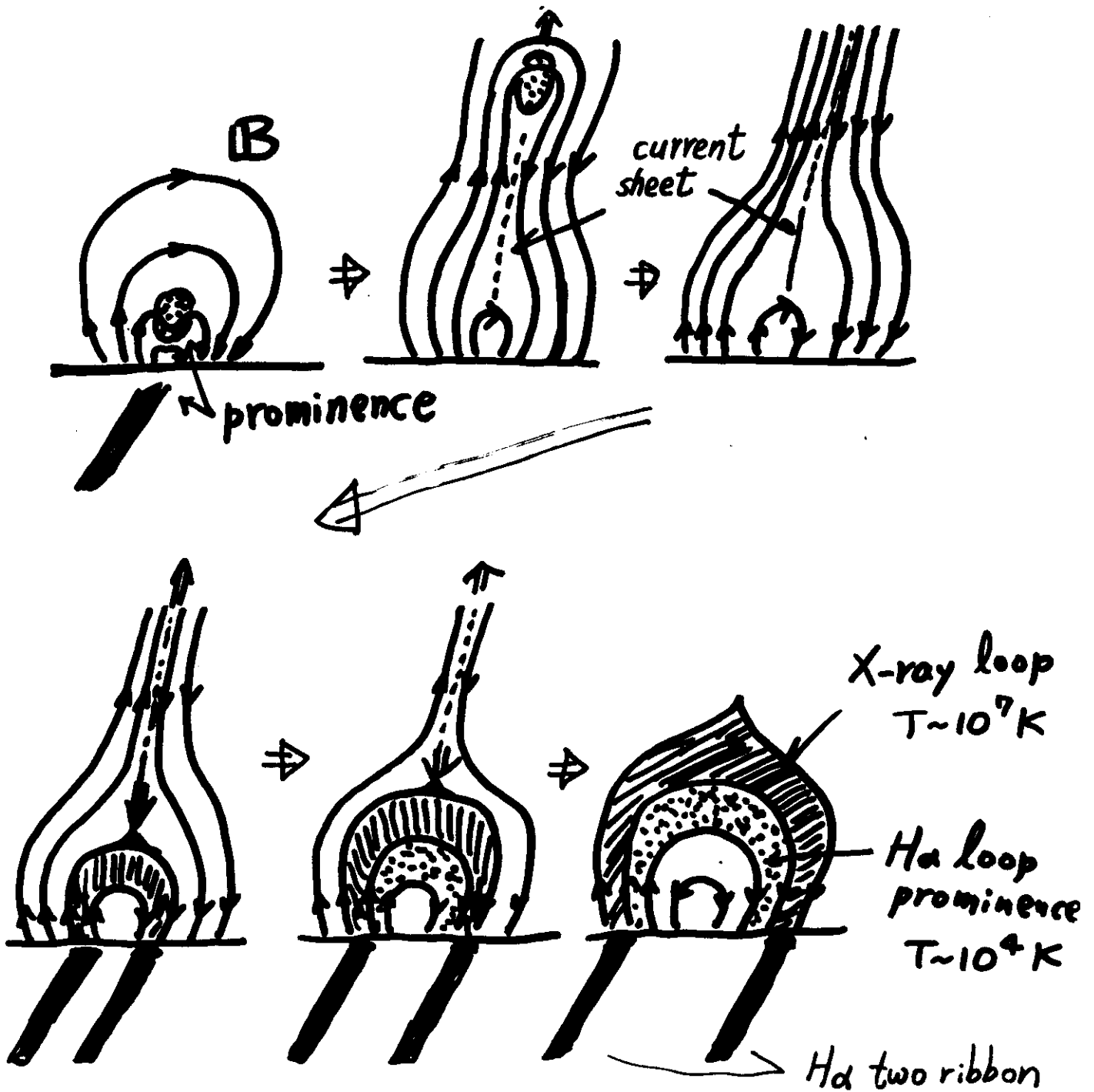
09:06:42 UT



CSHKP model

Carmichel (1964), Sturrock (1966)

Hirayama (1974), Kopp-Pneuman (1976)

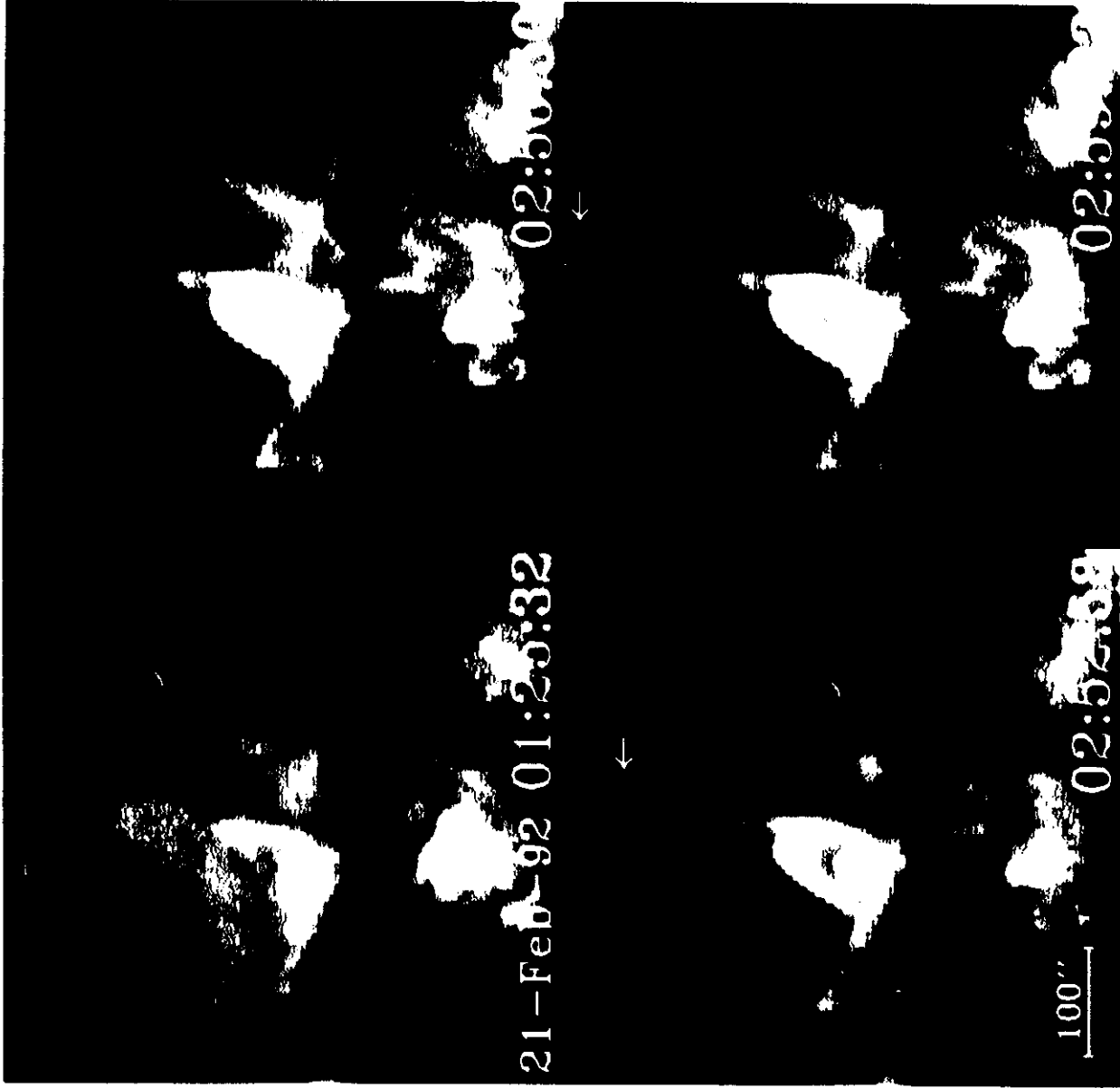


plasmoid ejection in LDE flare

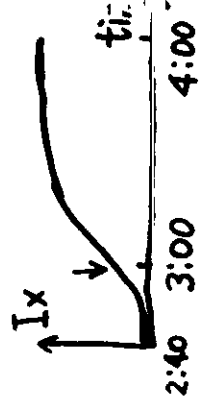
21 Feb 92

(Hudson
1994)

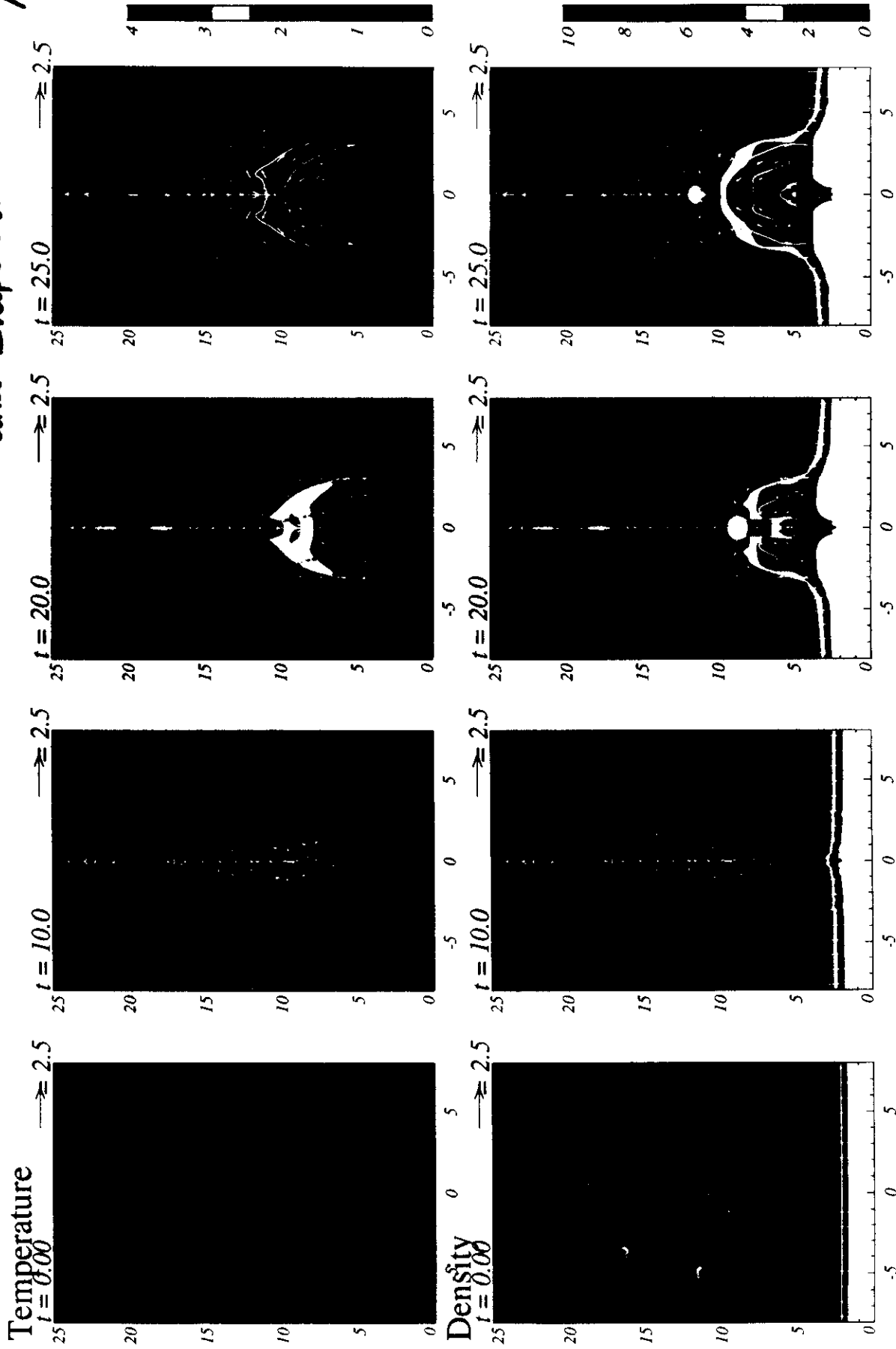
$V \sim 100 \text{ km/s}$



rise phase



Magnetic Reconnection Coupled with Heat Conduction and Evaporation (Yokoyama, Shibata 1999)

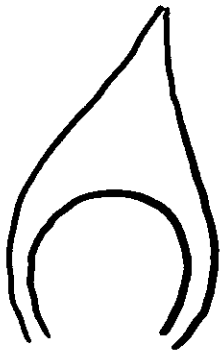


$\beta = 0.2$, $T_0 = 2 \times 10^6 \text{ K}$, $L = 3 \times 10^8 \text{ cm}$, $\tau = 18 \text{ s}$, $n_h = 10^9 \text{ cm}^{-3}$

LDE flares vs. Impulsive flares
(long duration event)

[arcade flares vs. loop flares
CME related flares vs. compact flares
ejective flares vs. confined flares]

cusp



reconnection

non-cusp

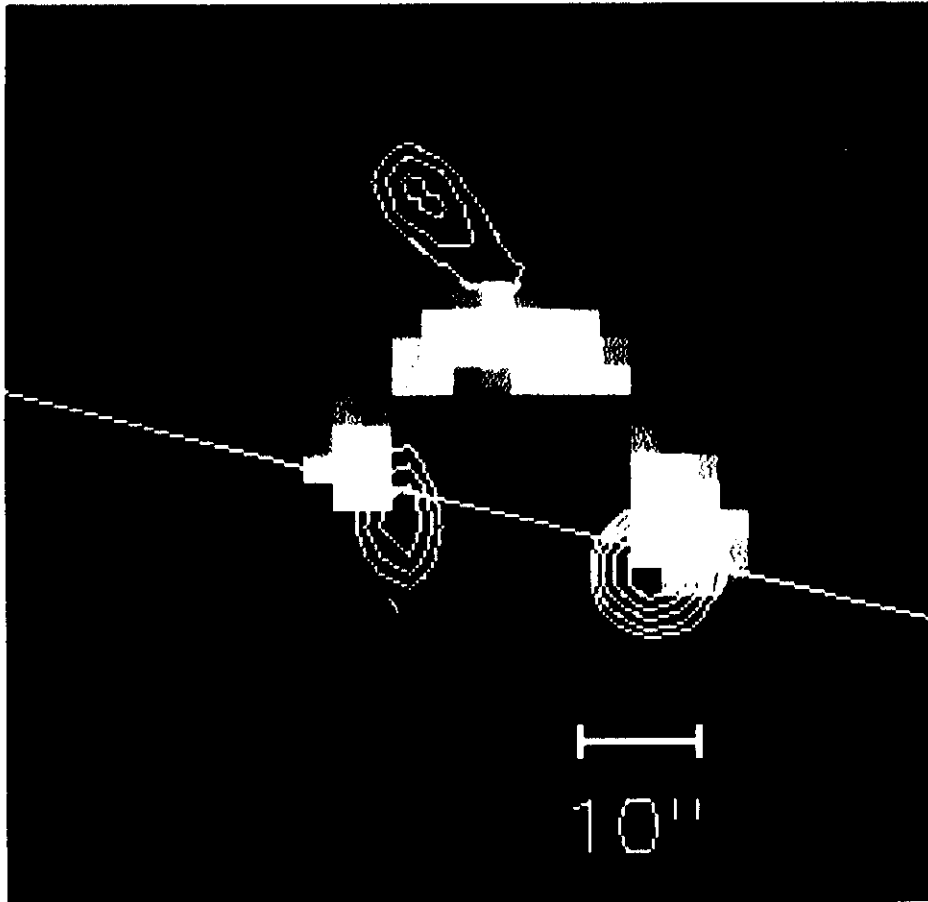


non-reconnection?

Impulsive Flare インパルシブ・フレア

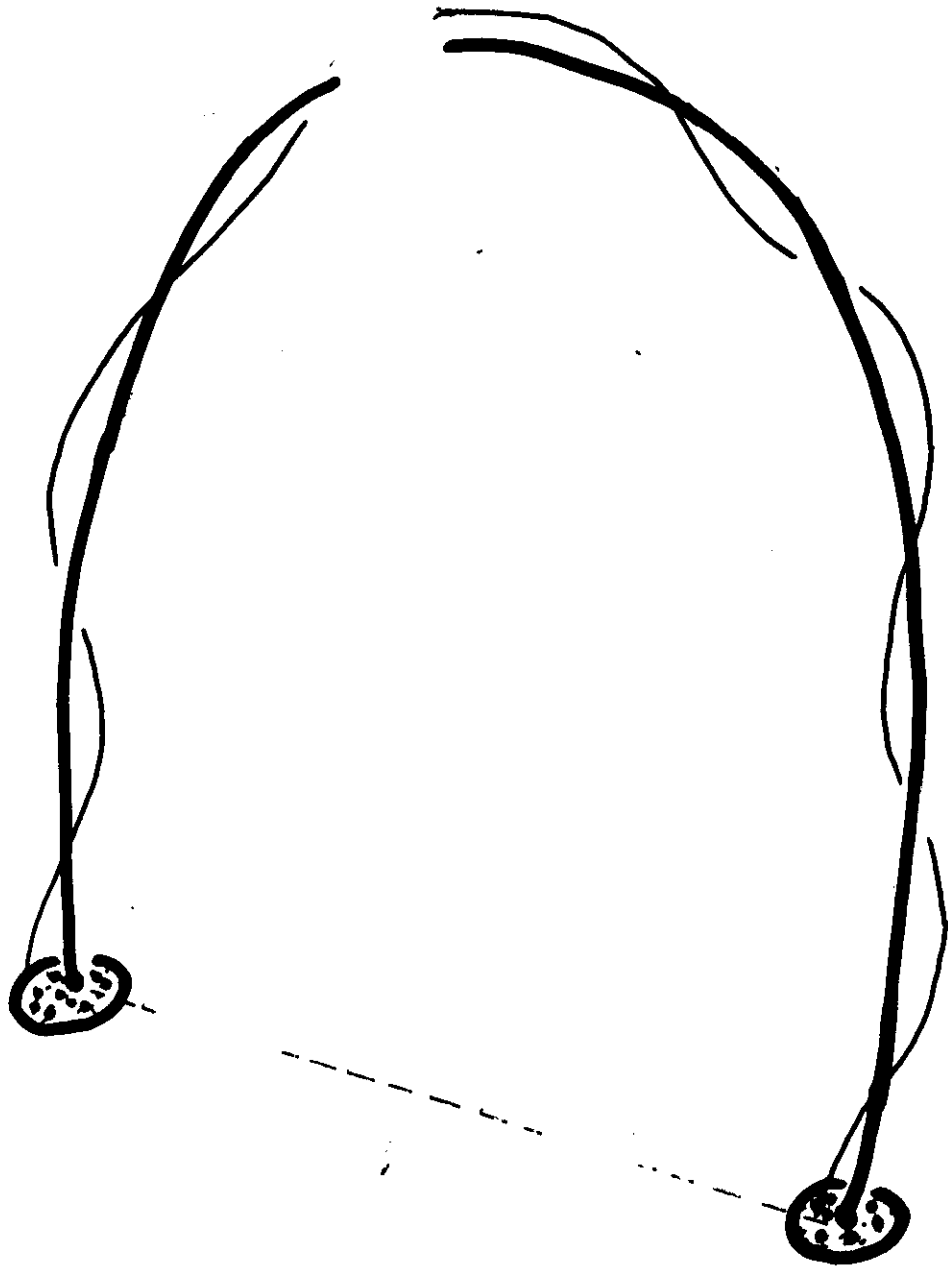
Hard X-ray →
Loop Top
Source

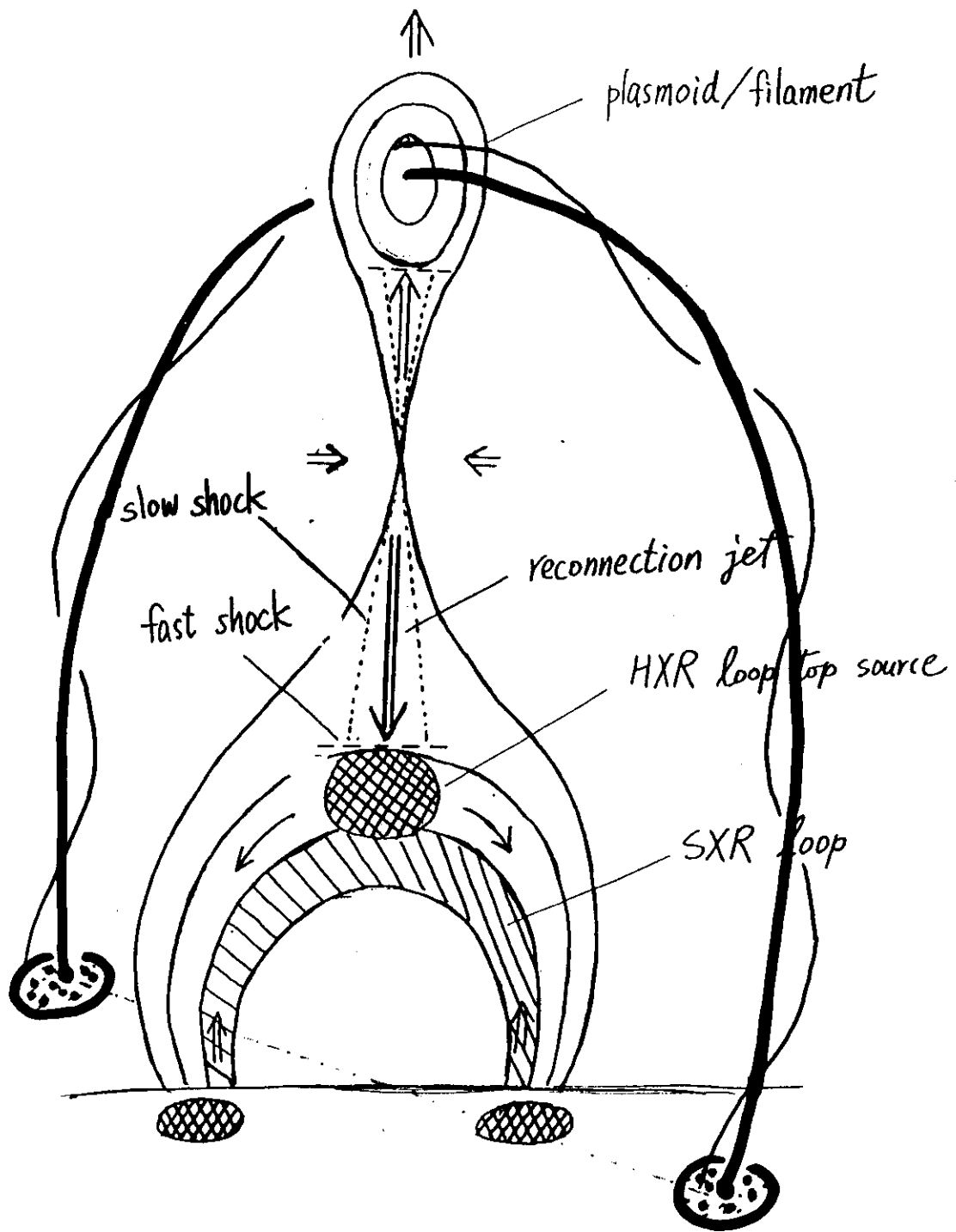
Hard X-rays
(contour)
+
soft X-rays
(color)



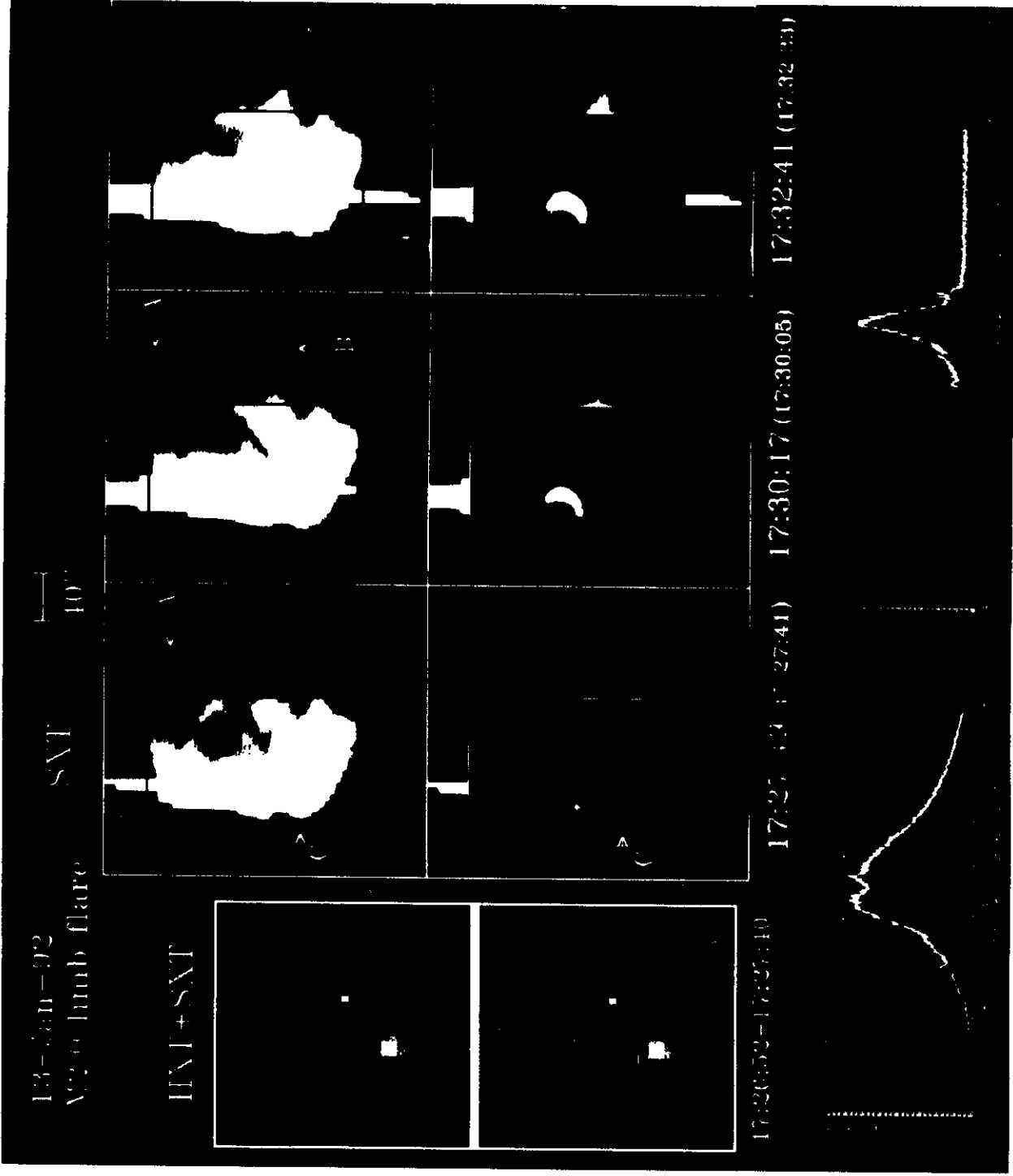
硬X線像
(等高線)
+
軟X線像
(偽色カラー)

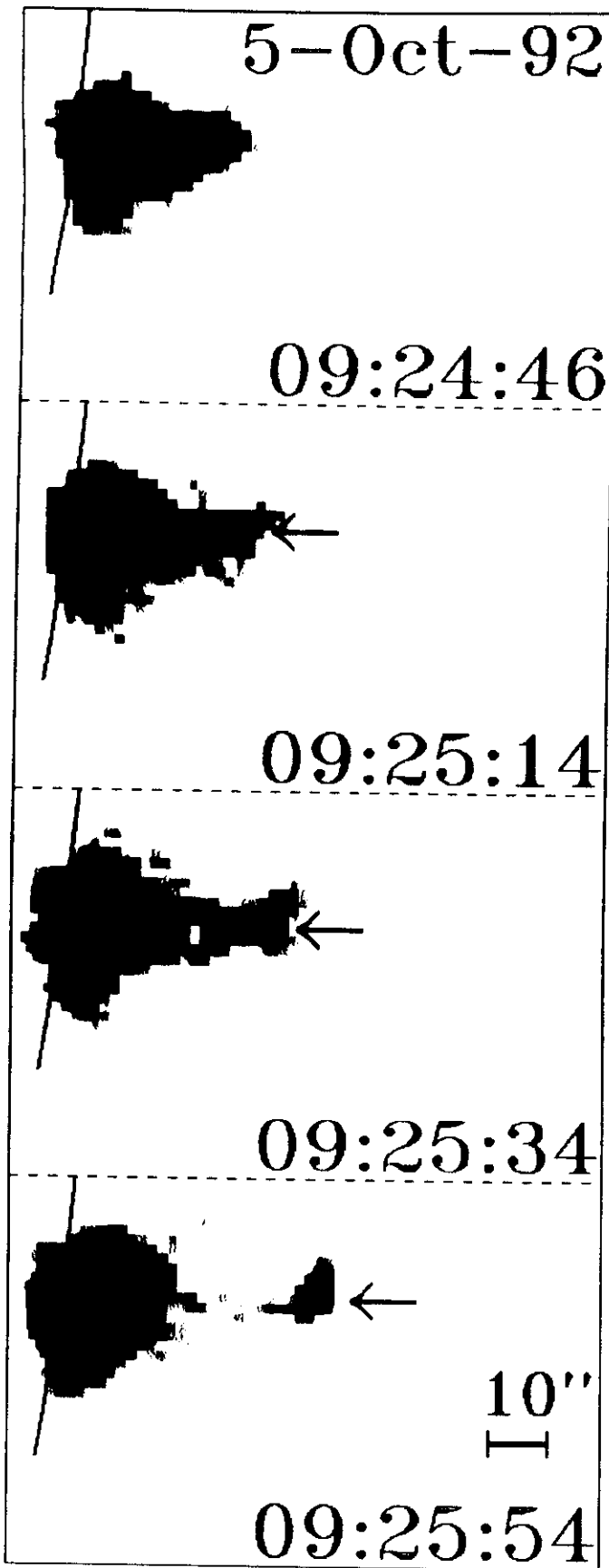
Masuda et al. (1994)
Nature 371, 495



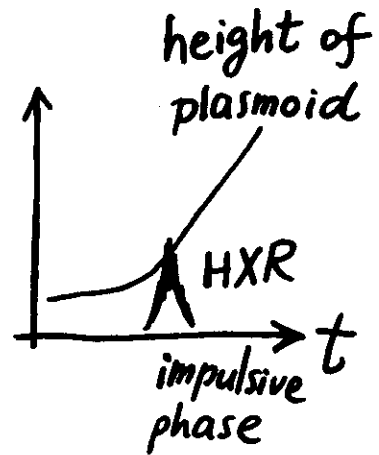


X-ray filament/plasmoid eruption in impulsive flare 13-Jan-92





X-ray Plasmoid
Ejections from
Impulsive Flare
on 5 Oct 1992
(Ohyama & Shibata
1997)



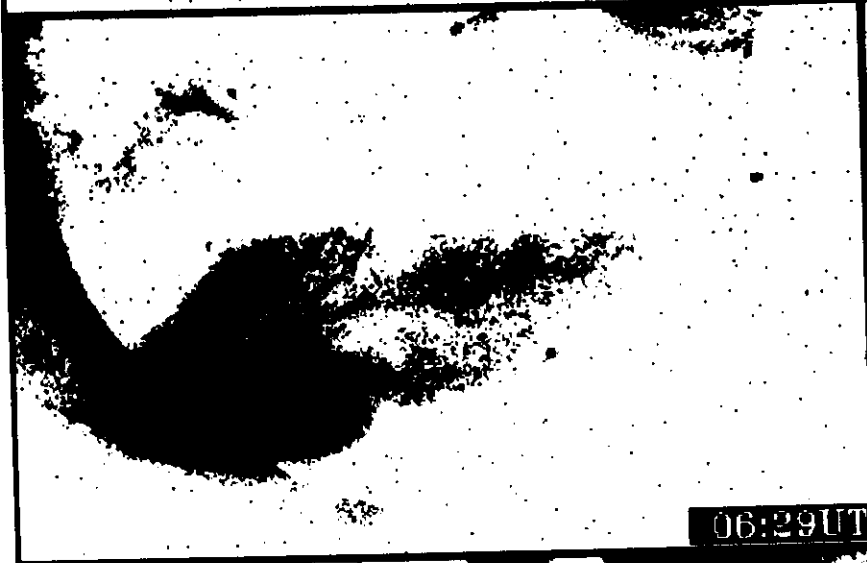
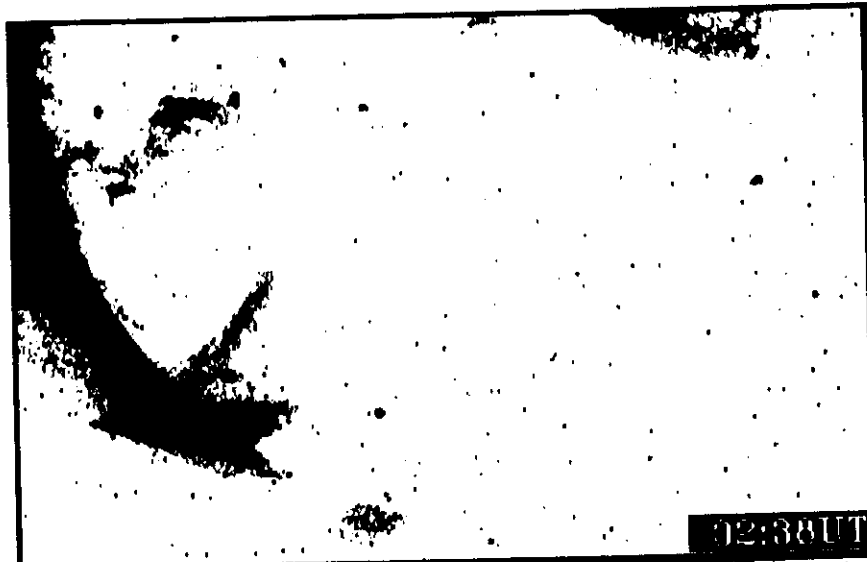
strong accel. of
plasmoid before
impulsive HXR
peak

N
↑
↘ W

Large Scale Arcade Formation

(global restructuring)
on 14 Apr 1994

(McAllister
et al.
1995)



コロナ質量放出

Coronal
Mass
Ejection
(CME)

10-1000 km/s



Fig. 1.35. A coronal transient associated with a prominence eruption (10 June 1973), observed on board Skylab (courtesy R. MacQueen).

Active Region Transient Brightenings = microflares

Shimizu et al.

(1992) PASJ 44,

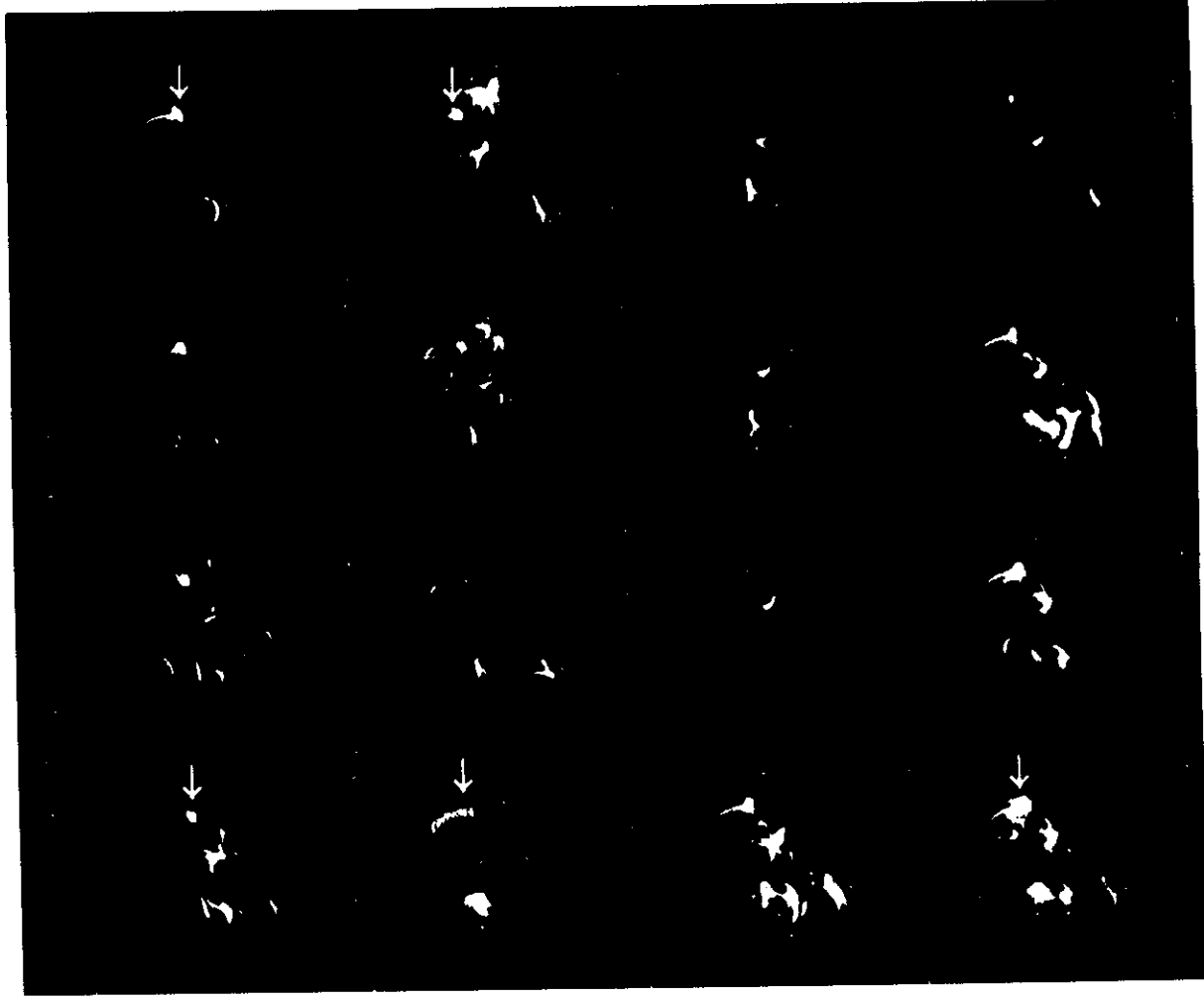
L147

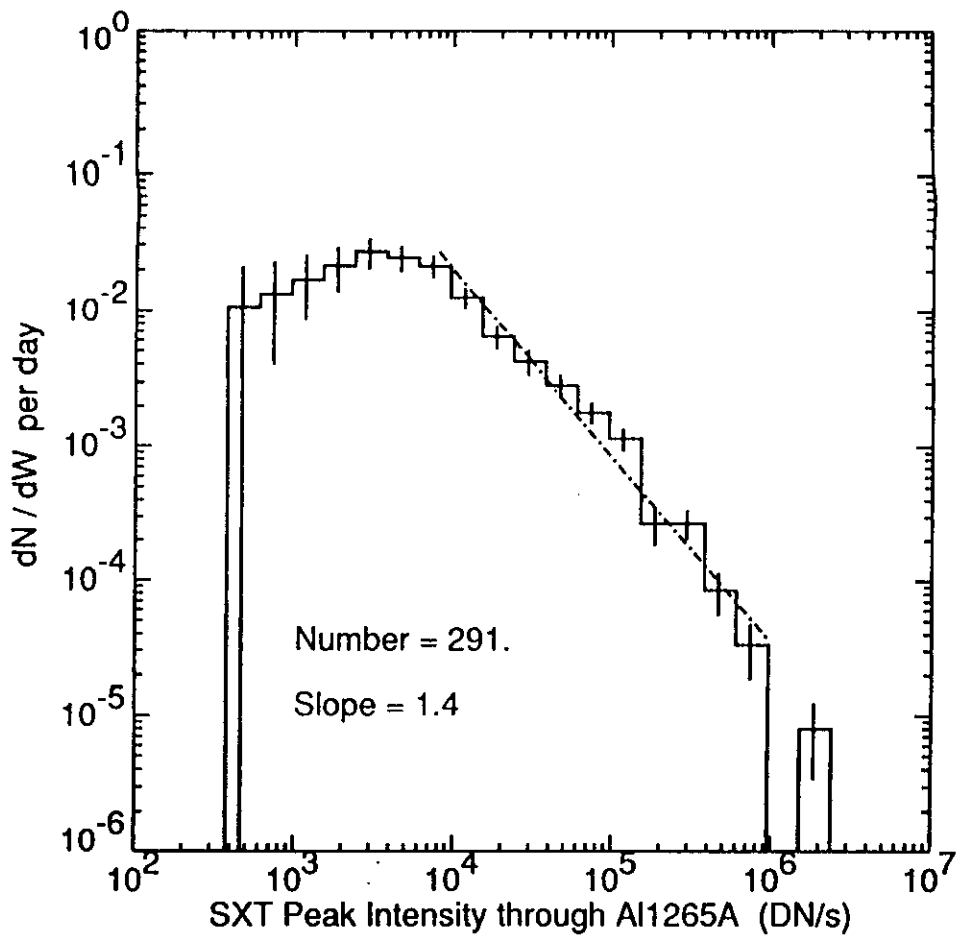
$$E \sim 10^{25} - 10^{29} \text{ erg}$$

$$t \sim 1 - 10 \text{ min.}$$

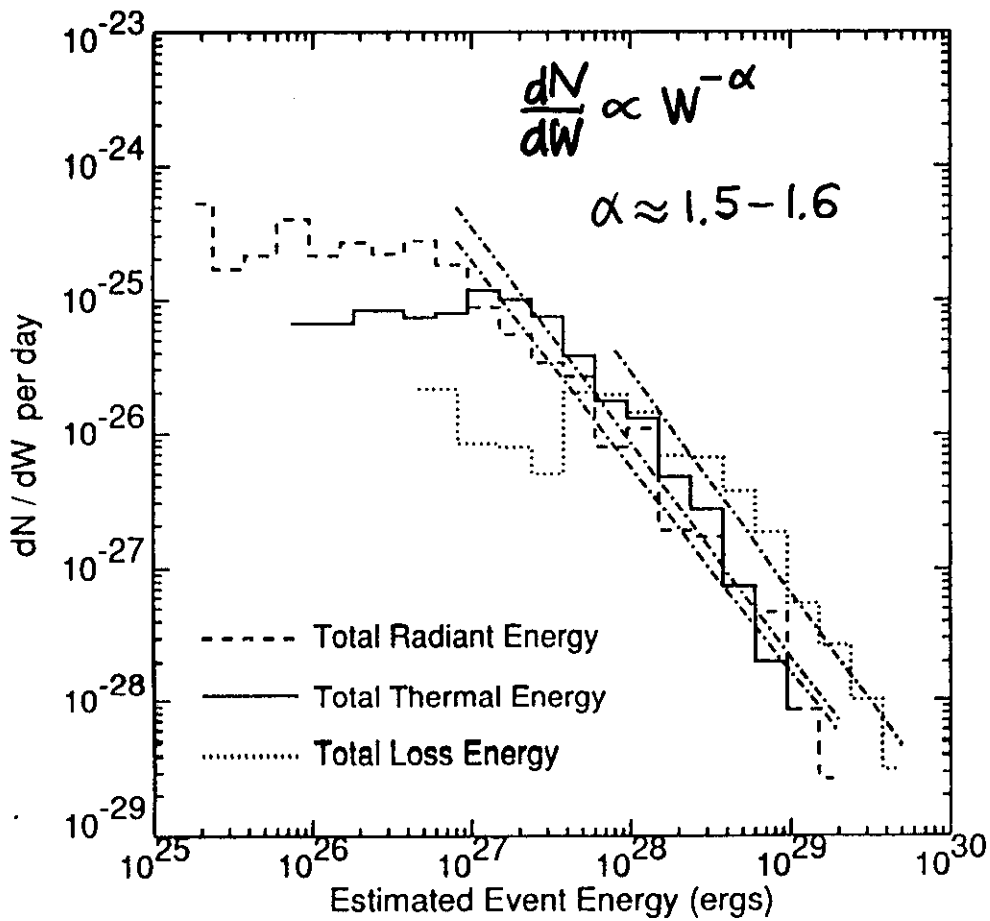
$$l \sim 0.5 - 4 \times 10^4 \text{ k}$$

$$T \sim 6 - 8 \text{ MK}$$





Kofu-symp fig 1

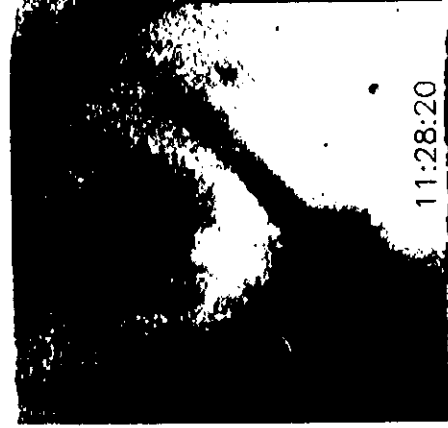


**Shimizu
(1995)
PAST
47, 251**

Coronal X-ray Jet



08:12:12



11:28:20



11:30:28

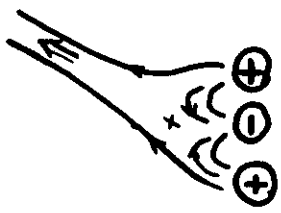


13:08:39



13:15:22

length $\sim 2 \times 10^5$ km
velocity ≥ 100 km/s



Shimojoc
et al.

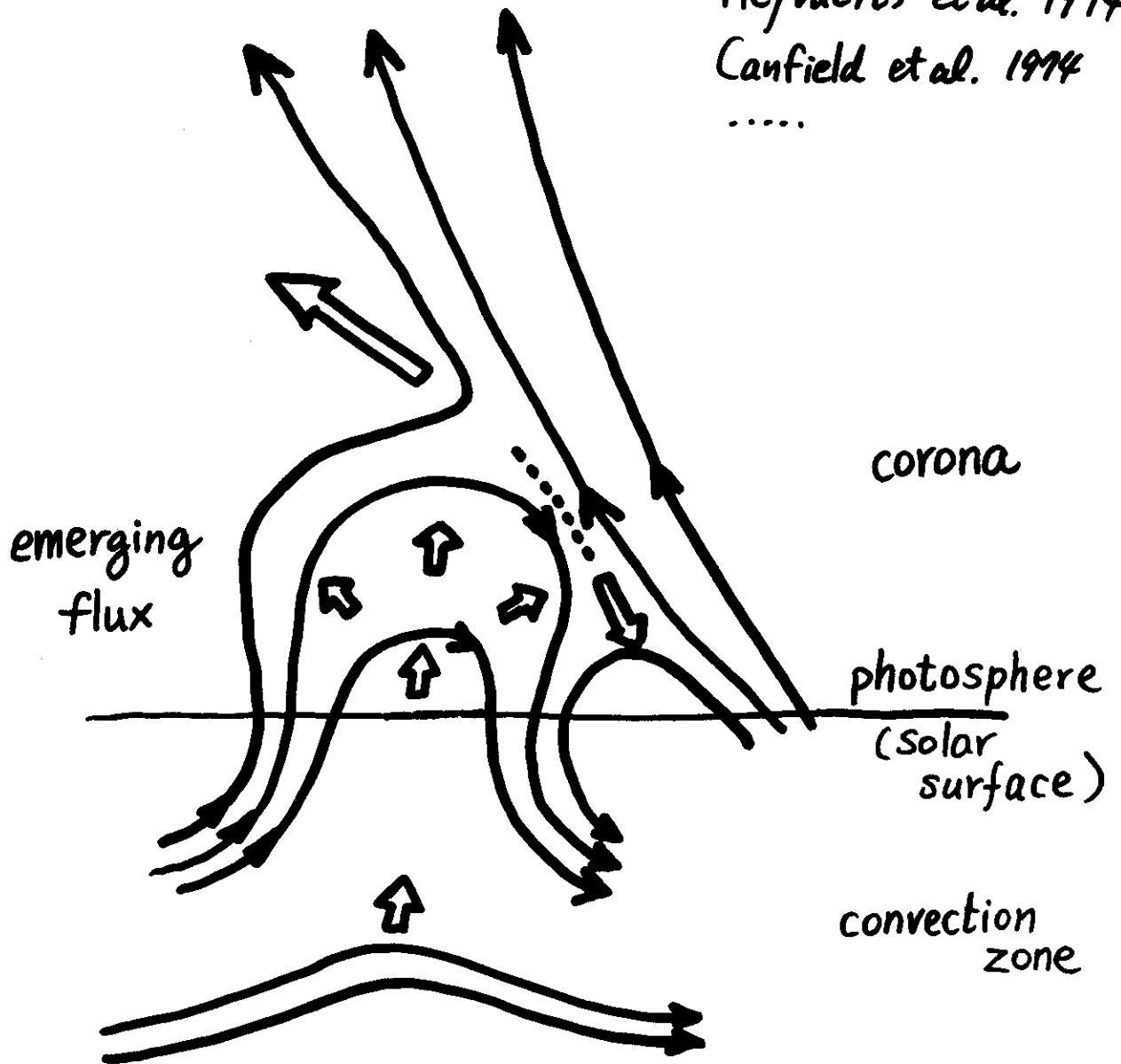
(1997)

Shibata et al. (1992)

PASJ 44, L173

Emerging Flux Model

Heyvaerts et al. 1974
Canfield et al. 1974
.....



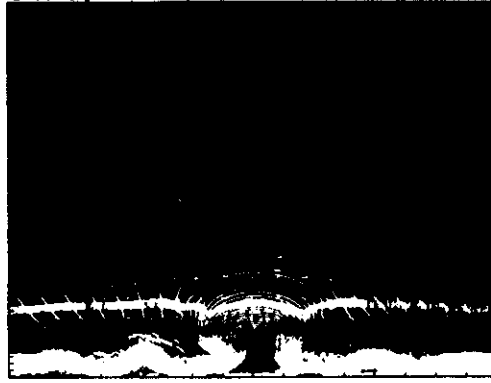
Temperature

Time = 70.0 → = 5.

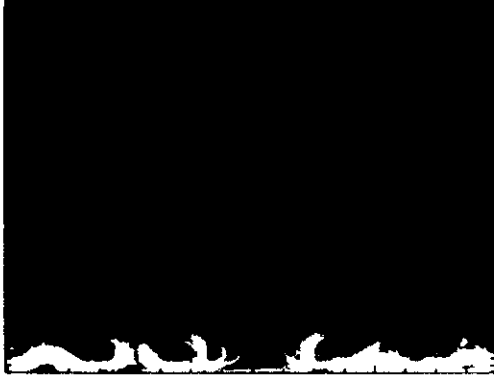


log(Density)

Time = 70.0 → = 5.



Time = 90.0 → = 5.



Time = 90.0 → = 5.

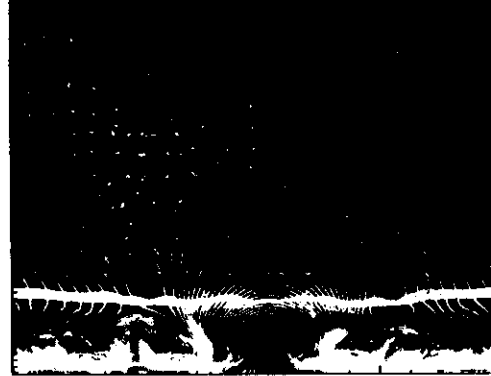


V_{jet}
 $\sim V_A$

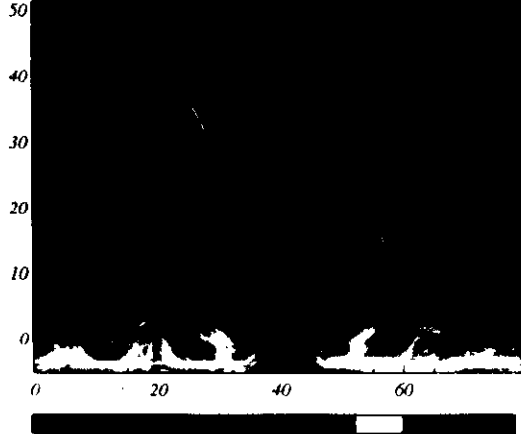
Time = 100.0 → = 5.



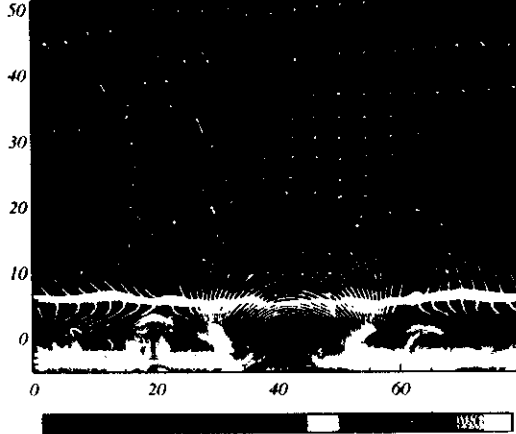
Time = 100.0 → = 5.



Time = 105.0 → = 5.



Time = 105.0 → = 5.



0 20 40 60 80 100

-6 -4 -2 0

Yokoyama and Shibata (1995) ⁴²
(1996) PASTA8 Nature 375,

Summary 1

available energy

flares	size= l (km)	B (G)	E_{mag} (erg)	t_A (sec)	t_{tot} (sec)
transient brightening (microflare)	$10^3 - 10^4$	10^2	4×10^{26} $- 4 \times 10^{29}$	0.1 - 1	10 - 100
impulsive flare	$10^4 - 10^5$	10^2	4×10^{29} $- 4 \times 10^{32}$	1 - 10	100 - 1000
LDE flare	$\sim 10^5$	30	$\sim 4 \times 10^{31}$	~ 30	10^3 $- 10^4$
global restructuring	$10^5 - 10^6$	10	4×10^{30} $- 4 \times 10^{33}$	50 - 500	10^4 $- 10^5$

$$E_{\text{mag}} = \frac{B^2}{8\pi} l^3$$

$$t_A = l / V_A$$

$$V_A = \frac{B}{\sqrt{4\pi\rho}} = 10^4 \left(\frac{B}{100\text{G}} \right) \left(\frac{n_e}{10^9\text{cm}^{-3}} \right)^{-\frac{1}{2}} \text{ km/s}$$

$$\frac{t_{\text{obs}}}{t_A} \approx 10 - 100$$

Summary 2

[Unified View of ~~Flare - Mass Ejection~~ Relation]

Flare

Mass Ejection

cool

hot

global restructuring

H α filament eruption

CME

LDE flare

H α filament eruption

X-ray plasmoid ejection / CME

impulsive flare

H α spray

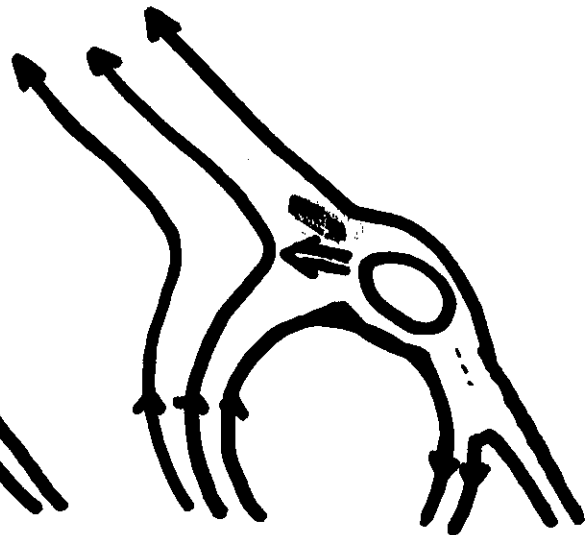
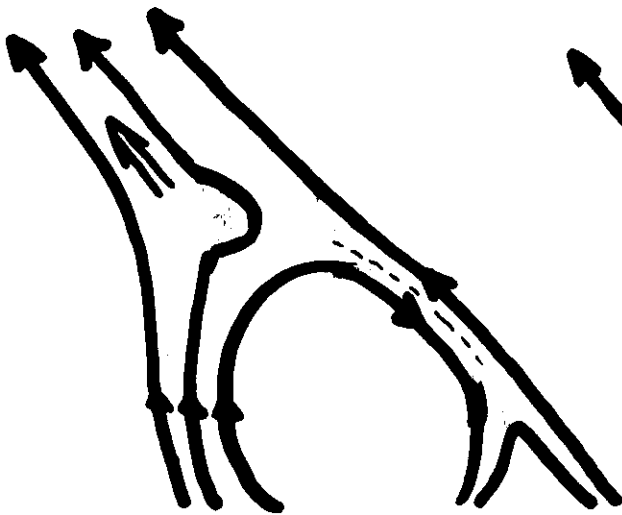
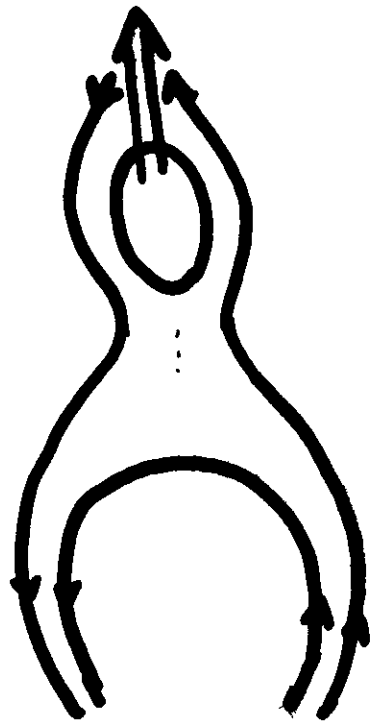
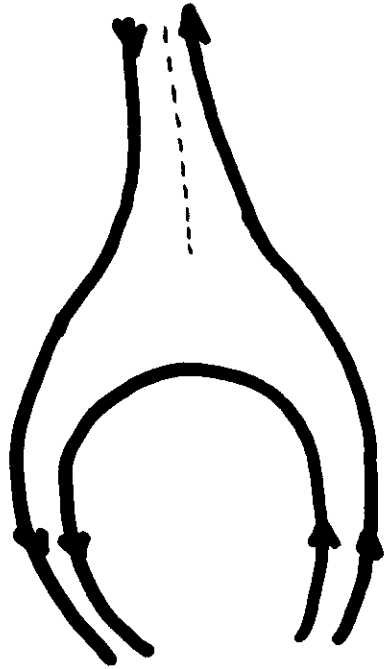
X-ray plasmoid ejection

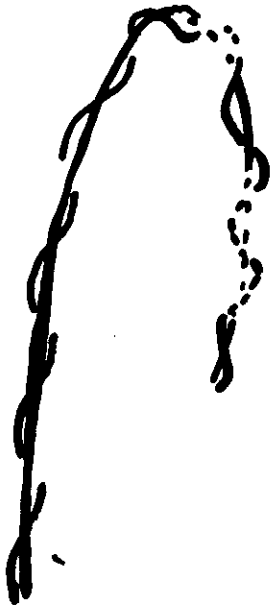
transient brightening (microflare)

H α surges

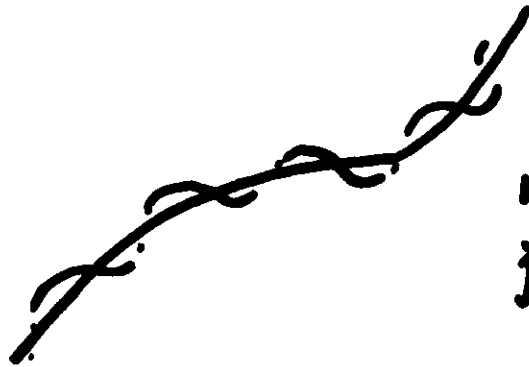
X-ray jet

Y
O
S
H



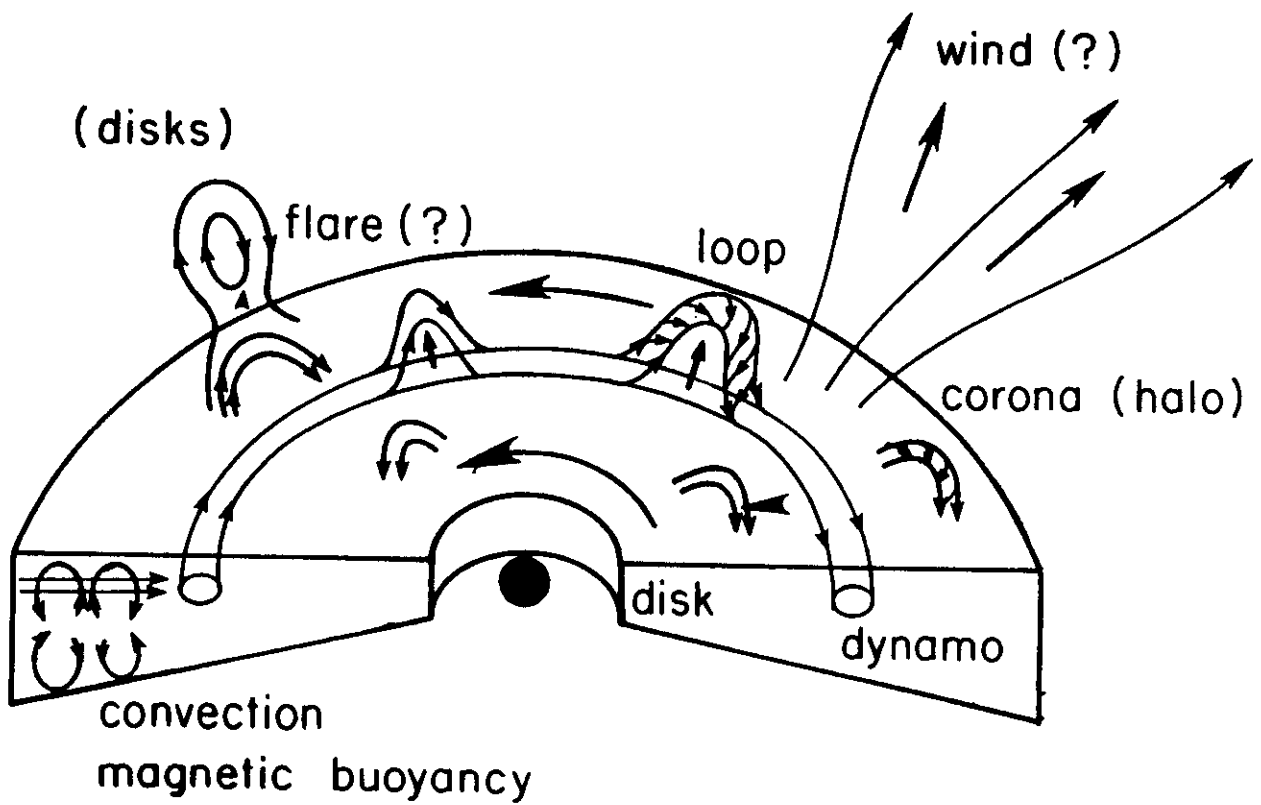
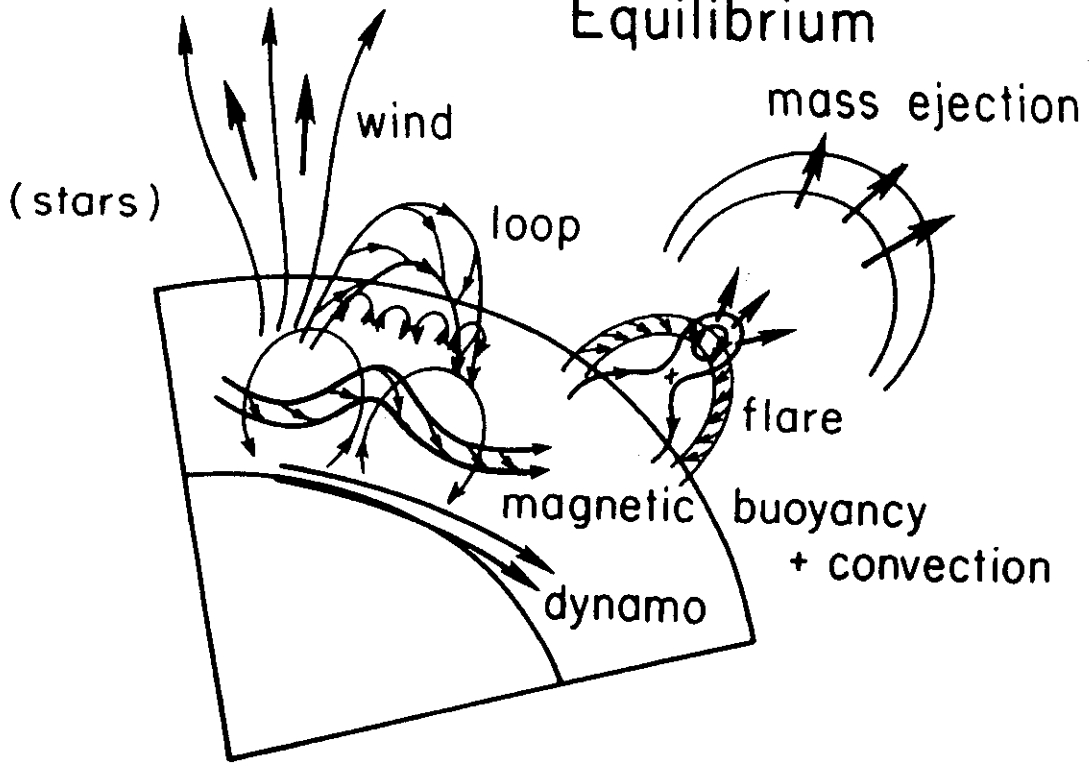


global restructuring
LDE flares
impulsive flares

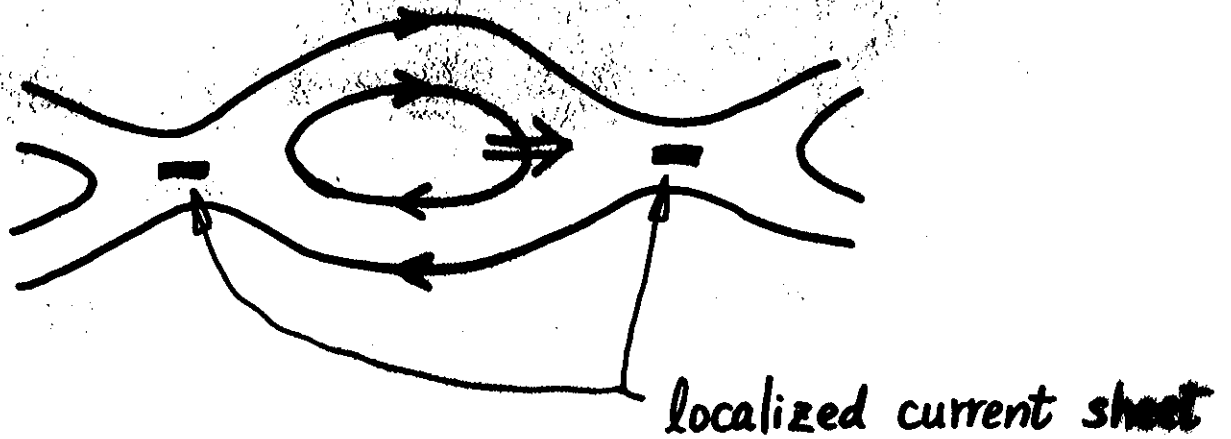
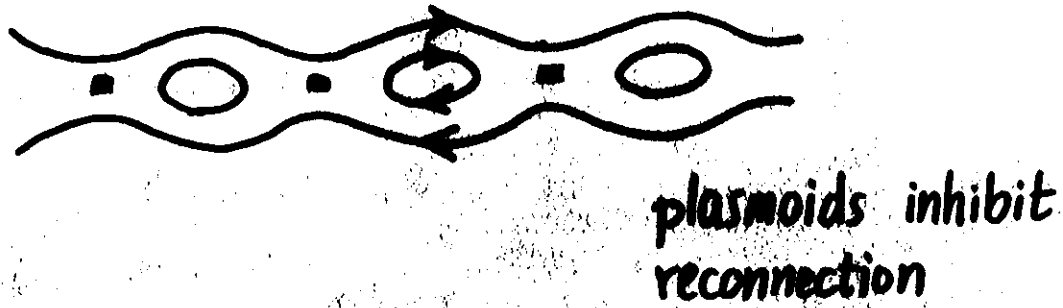
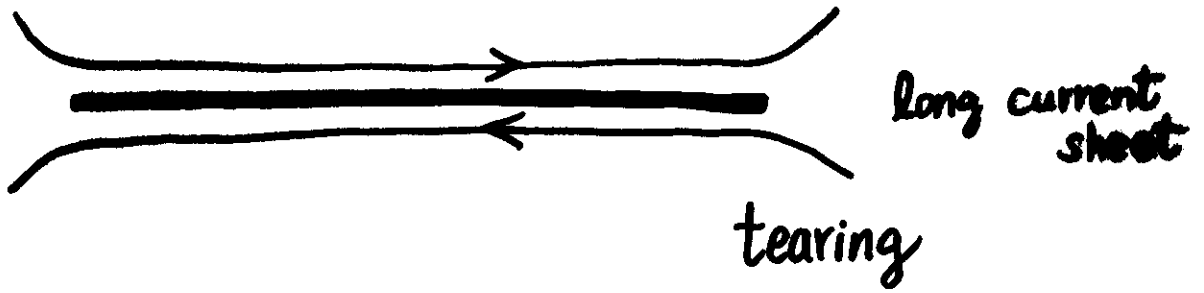


impulsive flares
microflares
jets

Celestial Objects in Quasi-Hydrostatic Equilibrium



Hypothesis Plasmoid-Induced-Reconnection model



impulsive phase of solar flares
= ejection of large plasmoids

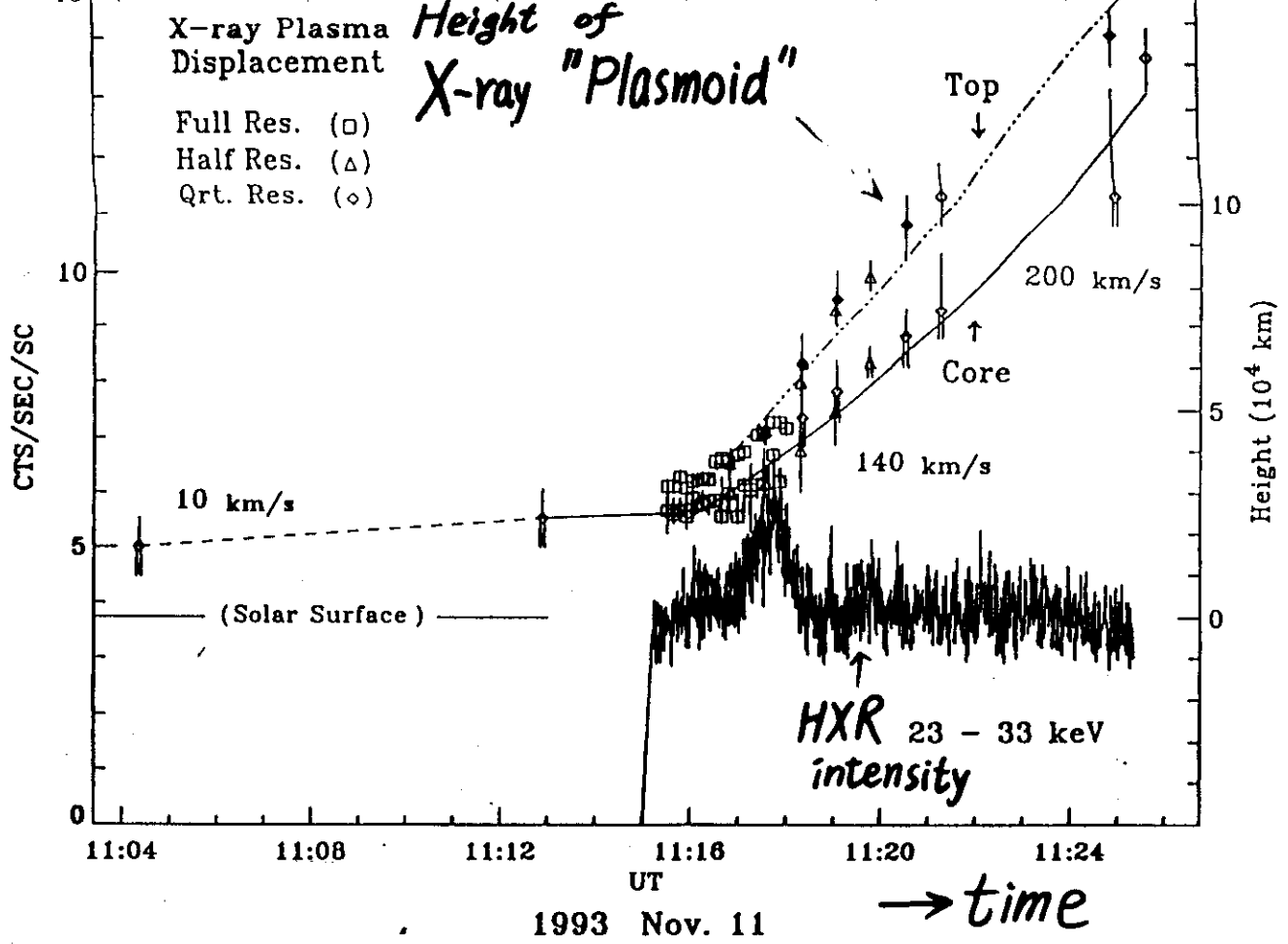
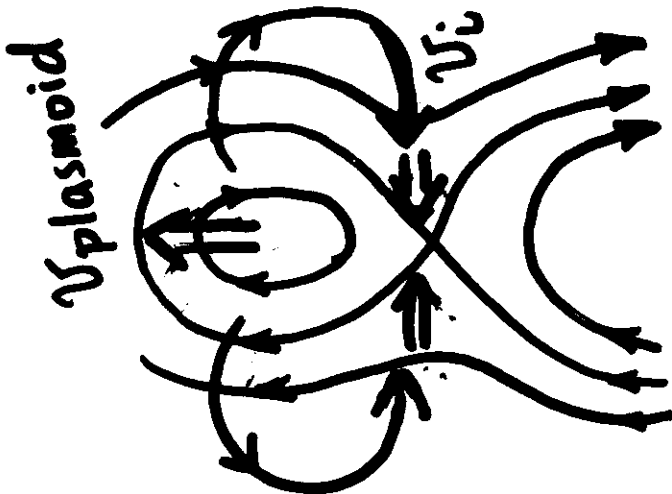


Figure 6. Plasma displacements in AlMg filter images and the hard X-ray (23 - 33 keV) counting rates.

Ohyama and Shibata
(1996)

$E_{kin, plasmoid} \approx 10^{28} - 10^{29} \text{ erg}$
 $\ll E_{flare} \approx 10^{30} - 10^{31} \text{ erg}$



strong acceleration of plasmoid



large v_i



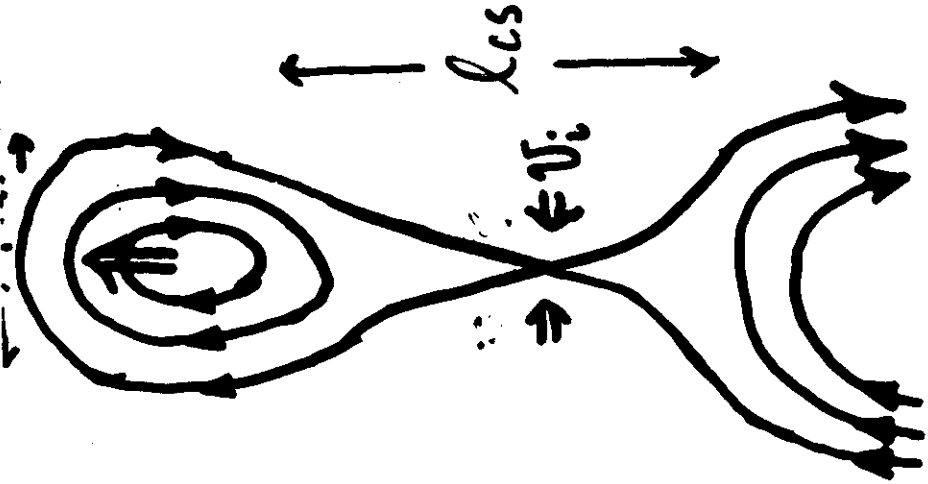
large electric field
 $E \sim v_i B$



HXR impulsive phase

$v_i \sim v_{plasmoid}$

impulsive phase



$v_i \sim \frac{l_{plasmoid}}{l_{cs}} v_{plasmoid} < v_{plasmoid}$

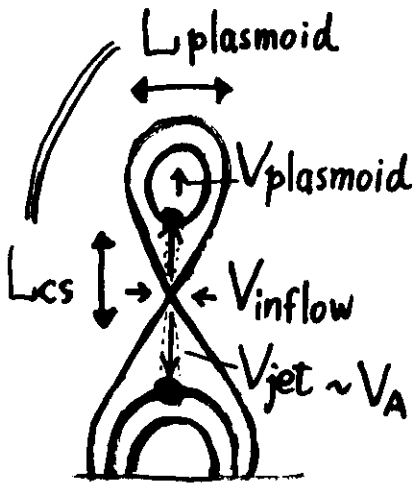
gradual/decay phase

Plasmoid-induced reconnection model
 (Skitato, 1997)

Order-of-magnitude estimate of physical quantities in impulsive phase

our hypothesis:

impulsive phase = initial phase of plasmoid ejection



$$V_{\text{inflow}} \sim V_{\text{plasmoid}} \sim 50-400 \text{ km/s}$$

$$\sim 0.02-0.1 V_A$$

$$V_A = 3000 \text{ km/s} \left(\frac{B}{100\text{G}}\right) \left(\frac{n_e}{10^{10}\text{cm}^{-3}}\right)^{-1/2}$$

$$M_A = \frac{V_{\text{inflow}}}{V_A} \approx 0.02-0.1$$

$$\frac{1}{2} P V_{\text{jet}}^2 \sim 3 P R_g T$$

$$T_{\text{loop-top}} \sim 2 \times 10^8 \text{ K} \left(\frac{B}{100\text{G}}\right)^2 \left(\frac{n_e}{10^{10}\text{cm}^{-3}}\right)$$

$$\tau_{\text{impulsive}} \sim L_{\text{plasmoid}} / V_{\text{plasmoid}}$$

$$\sim 3 \text{ min} \left(\frac{M_A}{0.03}\right)^{-1} \left(\frac{B}{100\text{G}}\right)^{-1} \left(\frac{n_e}{10^{10}\text{cm}^{-3}}\right)^{1/2} \left(\frac{L_{\text{pl}}}{2 \times 10^9 \text{ cm}}\right)$$

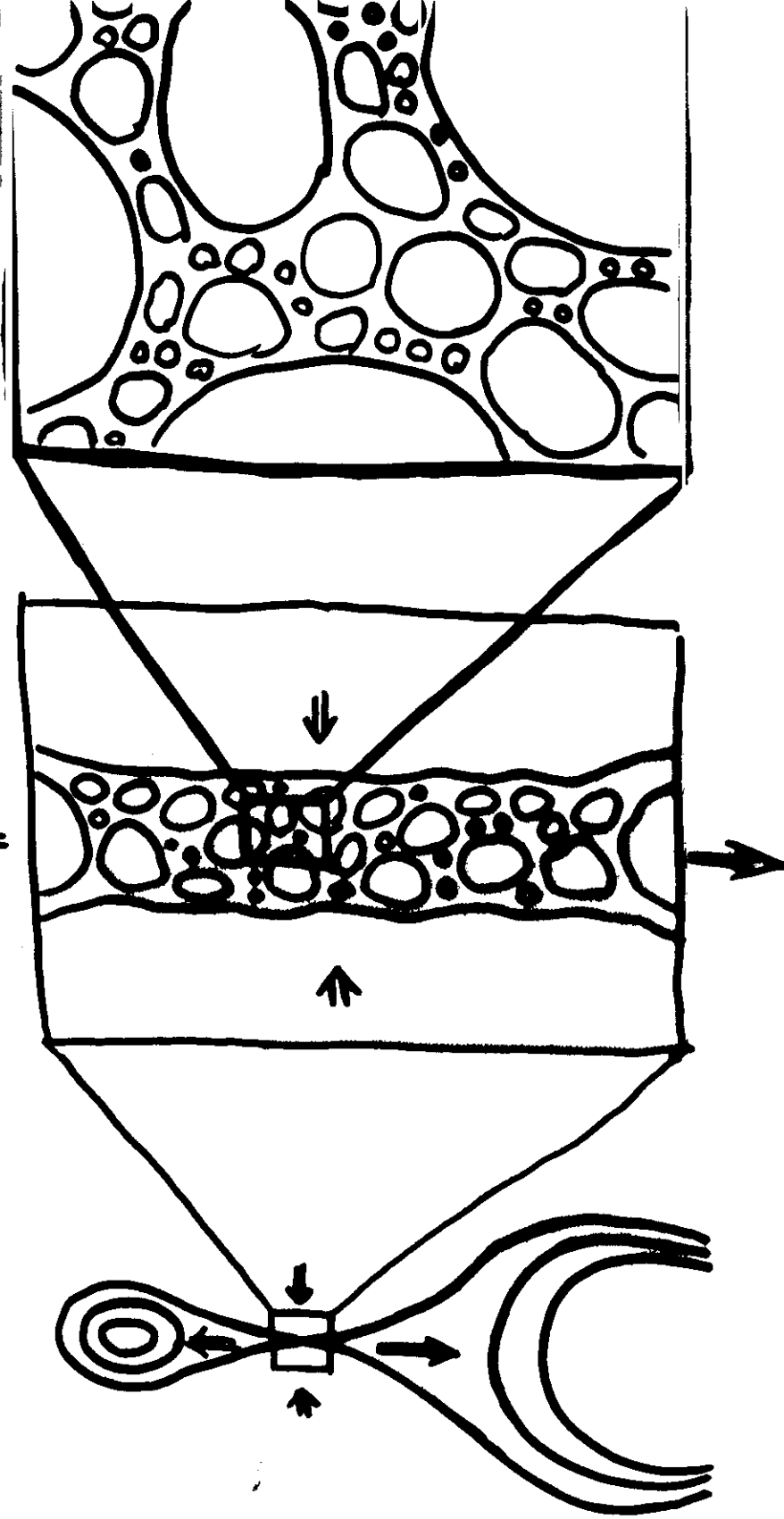
$$\frac{dE}{dt} \sim 2 L_{\text{plasmoid}}^2 B^2 V_{\text{inflow}} / 4\pi$$

$$\sim 4 \times 10^{28} \text{ erg/s} \left(\frac{B}{100\text{G}}\right)^3 \left(\frac{n_e}{10^{10}\text{cm}^{-3}}\right)^{-1/2} \left(\frac{L_{\text{plasma}}}{2 \times 10^9 \text{ cm}}\right)^2 \left(\frac{M_A}{0.03}\right)$$

in agreement with Masuda (1994)'s observation

Fractal Current Sheet

Tajima and Shibata (1997)



$$l_{max} \approx 10^3 - 10^4 \text{ km}$$

$$E \approx V_{inflow} B \sim 10^3 \text{ volt/m} \left(\frac{V_{inflow}}{100 \text{ km/s}} \right) \times \left(\frac{B}{1 \text{ mT}} \right)$$

$$l_{min} \approx r_i = \frac{r_g c U_{in,i}}{v_{th,i}} \approx 10 \left(\frac{I_{in,i}}{10^{11} \text{ A}} \right)^{1/2} \left(\frac{v_{th,i}}{10^4 \text{ km/s}} \right)^{-1}$$

4. Summary and Remaining Questions

Summary

- Yokkoh discovered a lot of evidence of reconnection in solar flares
 - cusp shaped loops / arcades
 - loop top hard X-ray source (fast shock ?)
 - plasmoids and jets
- Yokkoh observations revealed a common nature of various flares, leading to unified view of flares and mass ejections
- A unified model (plasmoid-induced-reconnection model) is presented
 - plasmoids limit the length of current sheet
 - nonsteady ejection of large plasmoids is the direct origin of impulsive phase of flares
 - current sheet has a fractal structure consisting of many plasmoids

Remaining Questions

- What is the condition for fast reconnection?
- What is the origin of resistivity?

$$r_{\text{ion-Larmor}} \approx 10 \text{ cm} \ll L_{\text{flare}} \approx 10^9 \text{ cm}$$

- What is the mechanism of particle acceleration?
- What is the pre-flare energy build-up process?