



UNITED NATIONS EDUCATIONAL, SCIENTIFIC AND CULTURAL ORGANIZATION
INTERNATIONAL ATOMIC ENERGY AGENCY
INTERNATIONAL CENTRE FOR THEORETICAL PHYSICS
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H4.SMR/1013-38

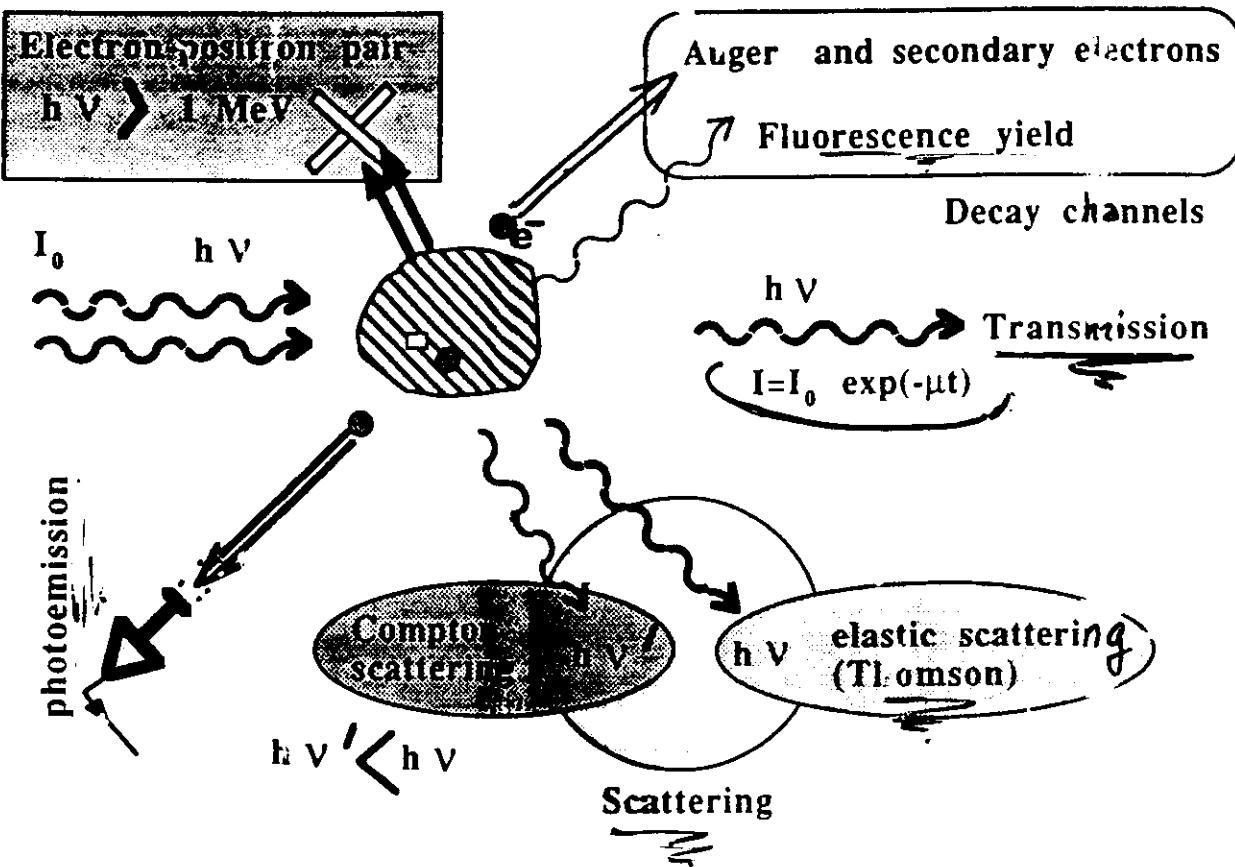
**SCHOOL ON THE USE OF SYNCHROTRON RADIATION
IN SCIENCE AND TECHNOLOGY:
*"John Fuggle Memorial"***

3 November - 5 December 1997

Miramare - Trieste, Italy

EXAFS Introduction

**A. Fontaine
Laboratoire Louis Neel
Grenoble, France**



- 1 photon IN / 1 photon OUT
Diffusion \bar{e} Thomson ($\frac{8\pi}{3} n_e^2$)

- 1 photon IN c photon OUT
 $\bar{\epsilon}_\gamma$ IN ABSORPTION
- $\bar{\epsilon}_\gamma$ OUT PHOTOEMISSION

τ_w (100 eV \rightarrow 50 KeV)

INTERACTIONS with ELECTRONS ARE IMPORTANT

CROSS SECTIONS

I.D. SECTIONS EFFICACES D'INTERACTION (Atomiques)

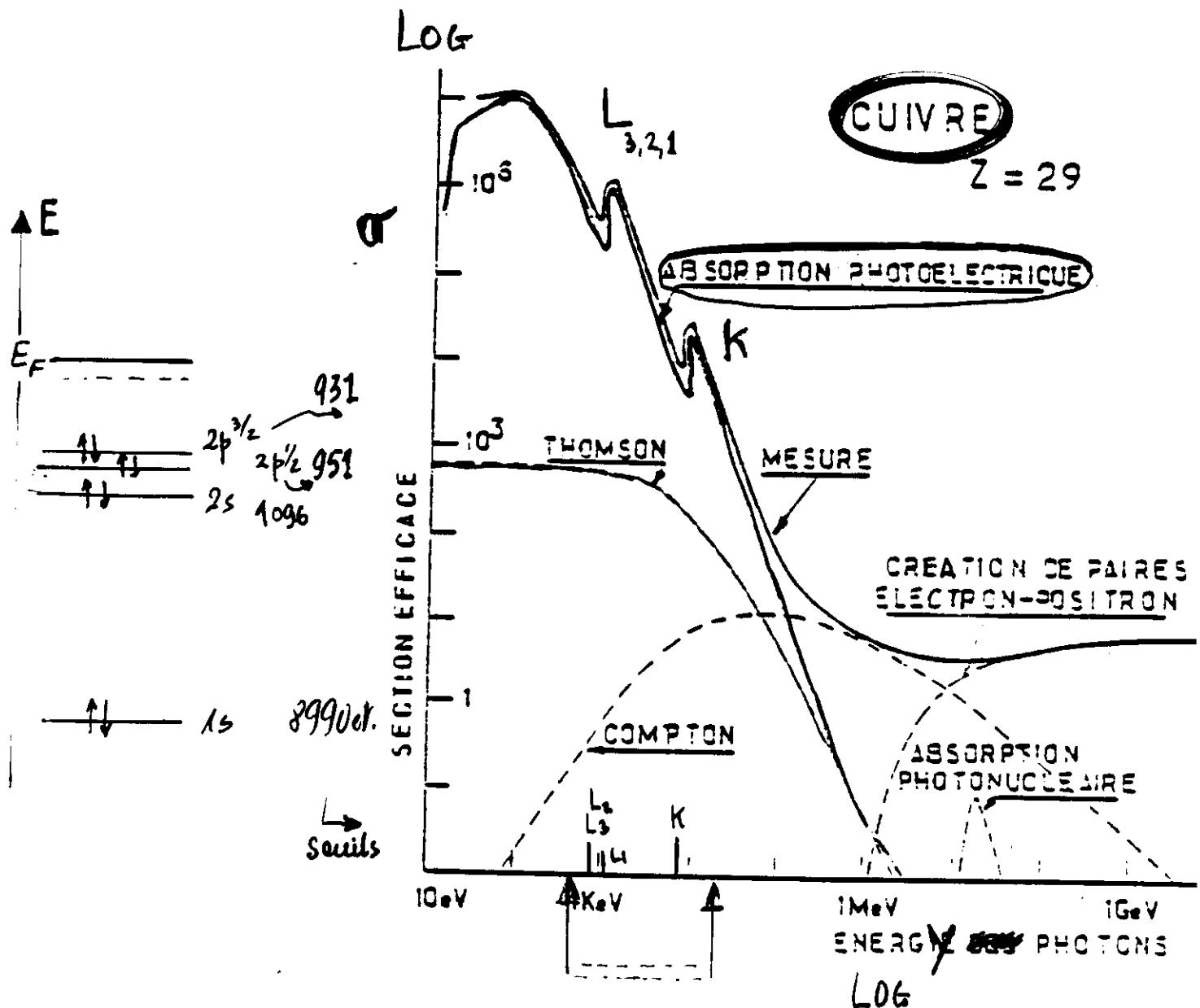
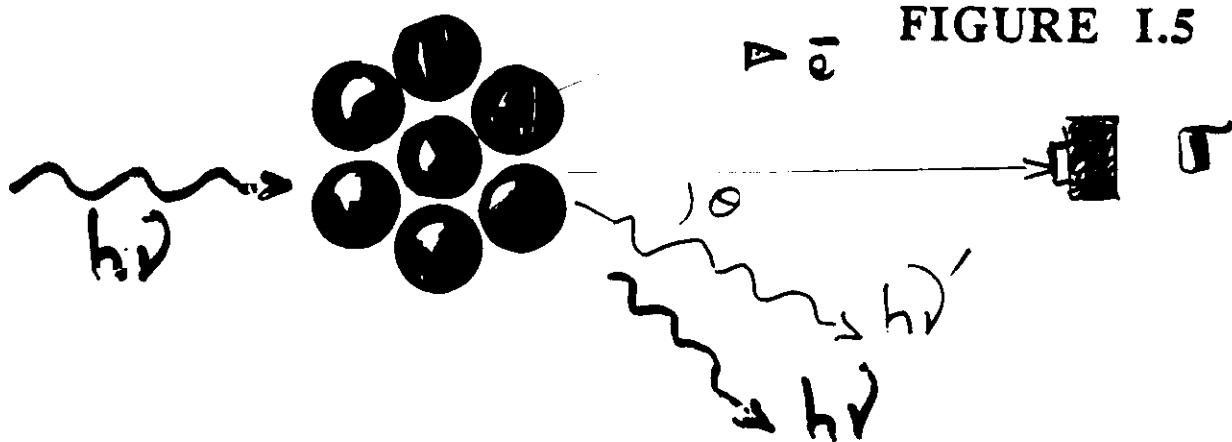


FIGURE I.5



The x-ray absorption cross-section

The Golden Rule

$$W = e \vec{r} \cdot \vec{E}$$

$$\sigma = (2\pi/\hbar) \sum_f |\langle f | W | i \rangle|^2 \delta(E_f - E_i - \hbar\omega)$$

Expansion up to the electric quadrupole term

$$\exp[i(\vec{k} \cdot \vec{r})] \approx 1 + i\vec{k} \cdot \vec{r}$$

$\lambda \gg \alpha$

Absorption cross-section including electric dipole and quadrupole contributions

Dipolar

$$\sigma(\omega) = 4\pi^2 \alpha \hbar \omega \left\{ \sum_f |\langle f | \hat{\epsilon} \cdot \vec{r} | i \rangle|^2 \delta(E_f - E_i - \hbar\omega) \right.$$

$$\left. + \sum_f (1/4) |\langle f | \hat{\epsilon} \cdot \vec{r} \vec{k} \cdot \vec{r} | i \rangle|^2 \delta(E_f - E_i - \hbar\omega) \right\}$$

Quadrupolar

4 TOOLS

$\text{E} \propto \sin^2 \theta$

- SELECTIVITY $\hbar\omega$ (E_f)
- DICHROISMS $\vec{E} \cdot \vec{r}$ ($\vec{E} \cdot \vec{z}$ or $(E_x - iE_y)(x+iy)$)
- SELECTION RULES dipole $\Delta l = \pm 1$
- FINAL STATE RELAXATION $\subseteq |f\rangle$

DIPOLAR SELECTION RULES

Règles de sélection dipolaires

Absorption

ℓ, s, J, m_J

INITIAL
 \neq
FINAL

$$\Delta J = 0 \pm 1$$

sauf $J = J' = 0$

$$\Delta \ell = \pm 1$$

$$\Delta m_J = 0, \pm 1$$

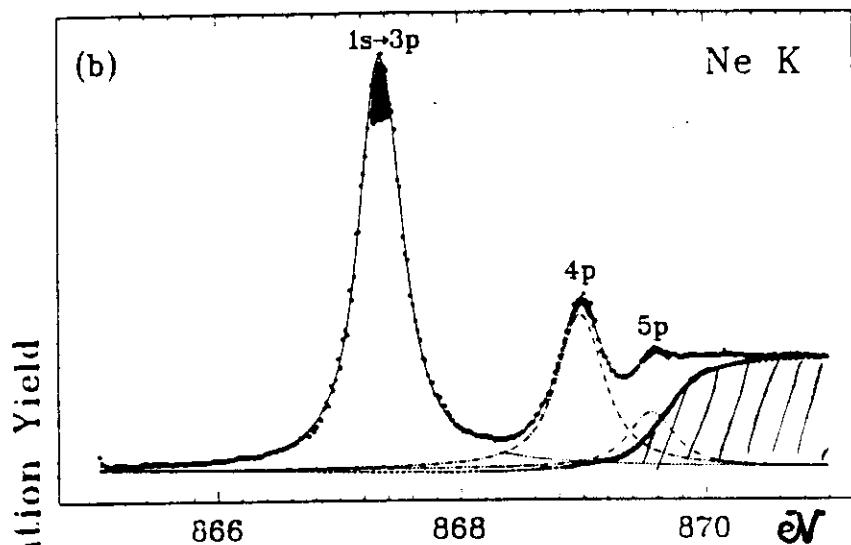



$$\Delta s = 0$$

$$|f\rangle = |1s^2 \dots, np^1\rangle$$

Ne

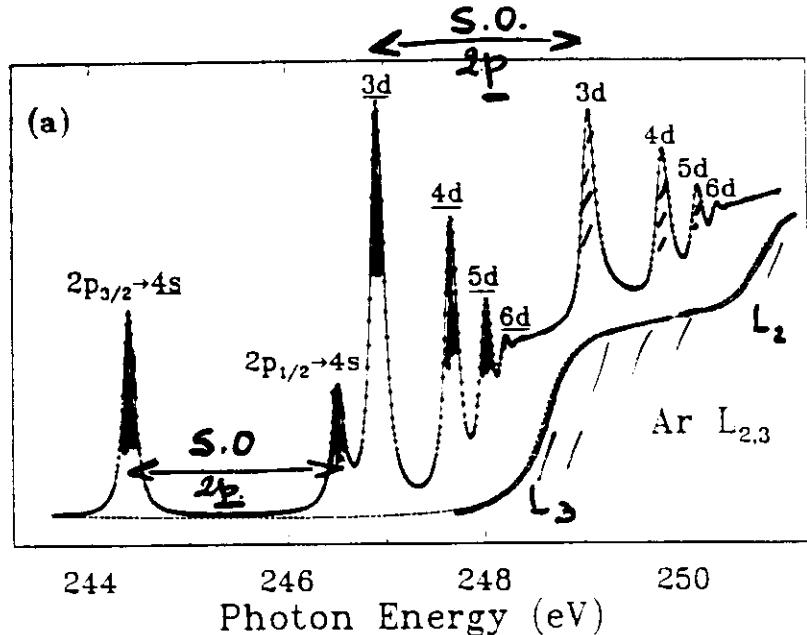
$$|i\rangle = |1s^2 2s^2 2p^6\rangle$$



Ar

$$|i\rangle = |1s^2 2s^2 2p^6 3s^2 3p^6\rangle$$

$$|f\rangle \quad \vec{J} = \vec{L} + \vec{S} \quad \left\{ \begin{array}{l} \uparrow \downarrow \frac{1}{2} \text{ ... } 4s^2 \dots \\ \uparrow \downarrow \frac{3}{2} \text{ ... } 2p^5 \dots \end{array} \right.$$



$$|f\rangle = | \dots 2p^5 \dots n d^1 \dots \rangle \quad n \geq 3$$

$$|f\rangle = | \dots 2p^5 \dots m s^1 \dots \rangle \quad m \geq 4$$

Status and perspectives of high-resolution spectroscopy in the soft x-ray range (invited)

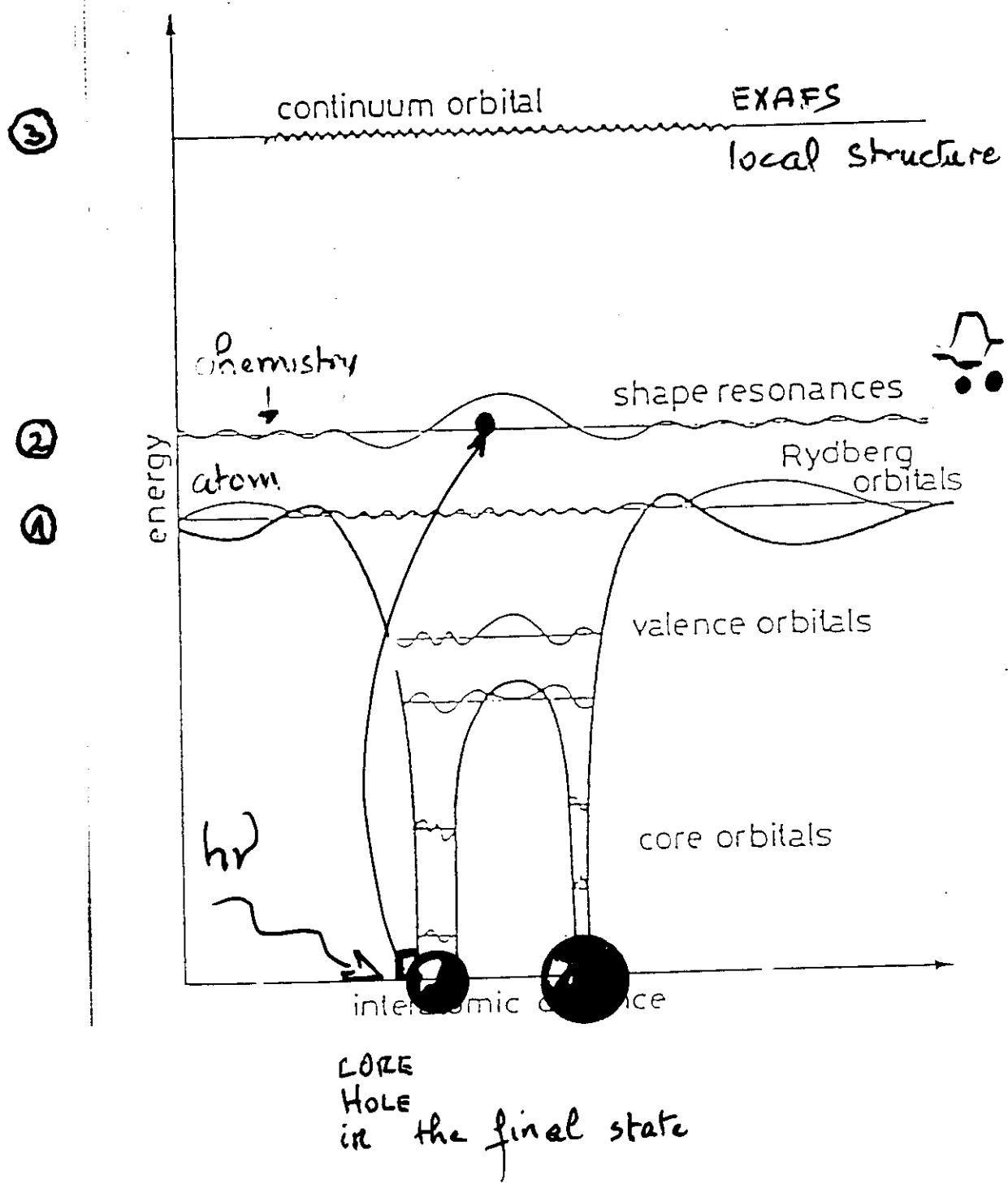
G. Kandl, M. Domke, C. Laubschat, E. Weschke, and C. Xue

Institut für Experimentalphysik, Freie Universität Berlin, Arnimallee 14, W-1000 Berlin 33, Germany

(Presented on 18 July 1991)

Soft x-rays \iff Allow High energy - Resolution

MORE INFORMATIONS
ACCESSIBLE



Status and perspectives of high-resolution spectroscopy in the soft x-ray range (invited)

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SHAPE RESON.

Vibrational fine struct.
 Double excitation

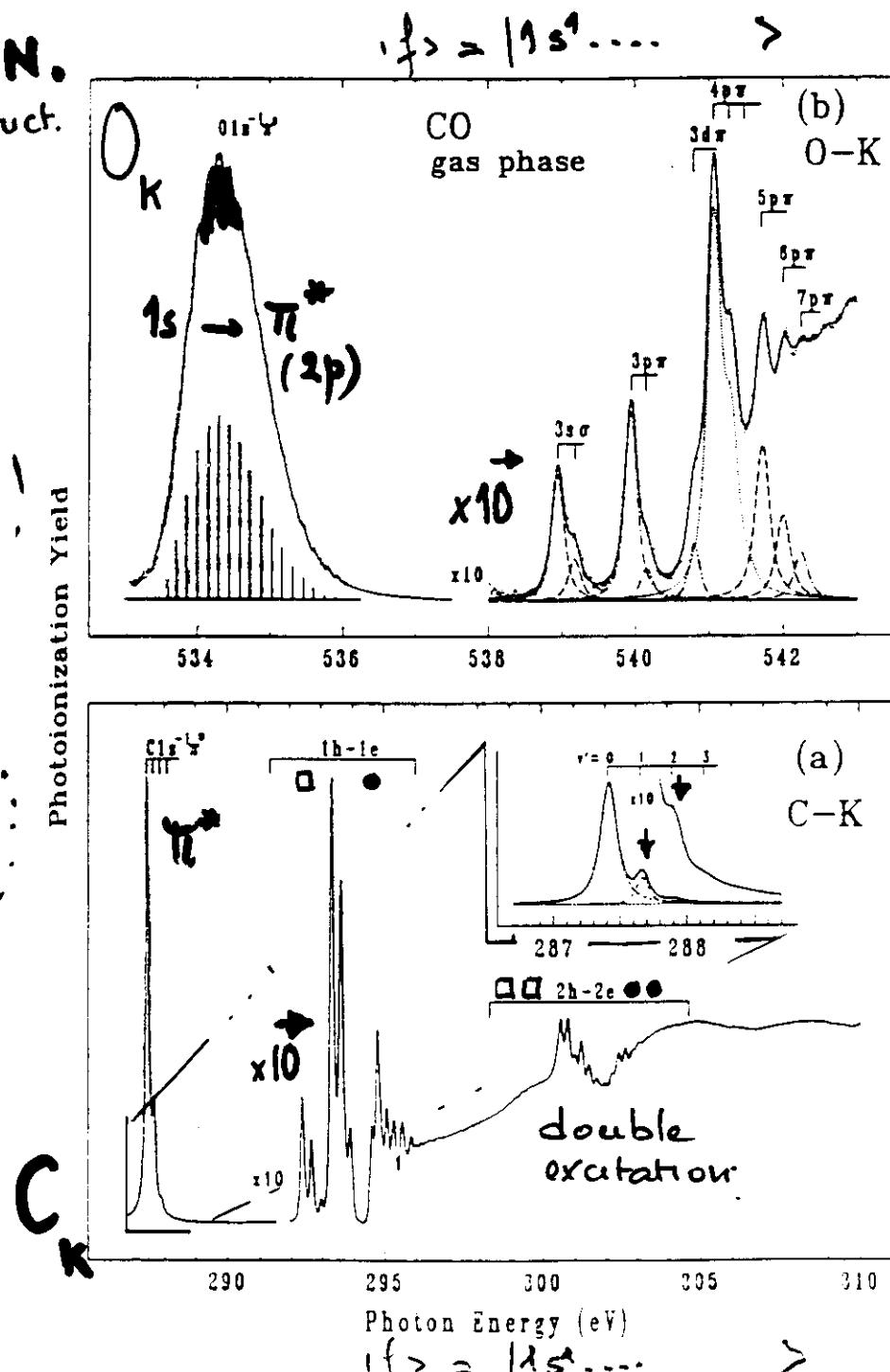
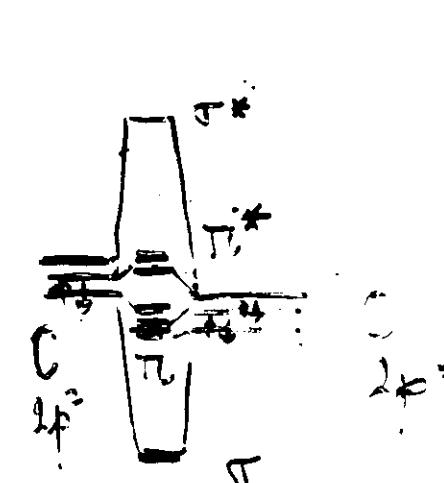
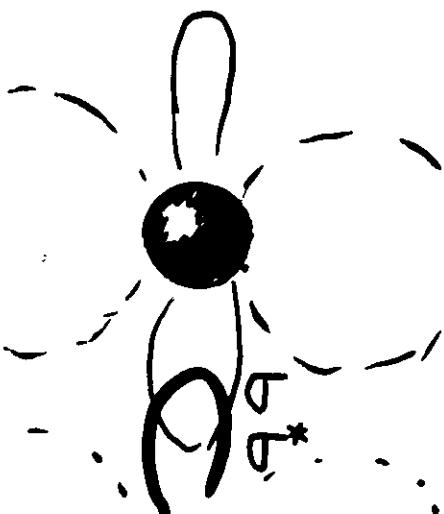
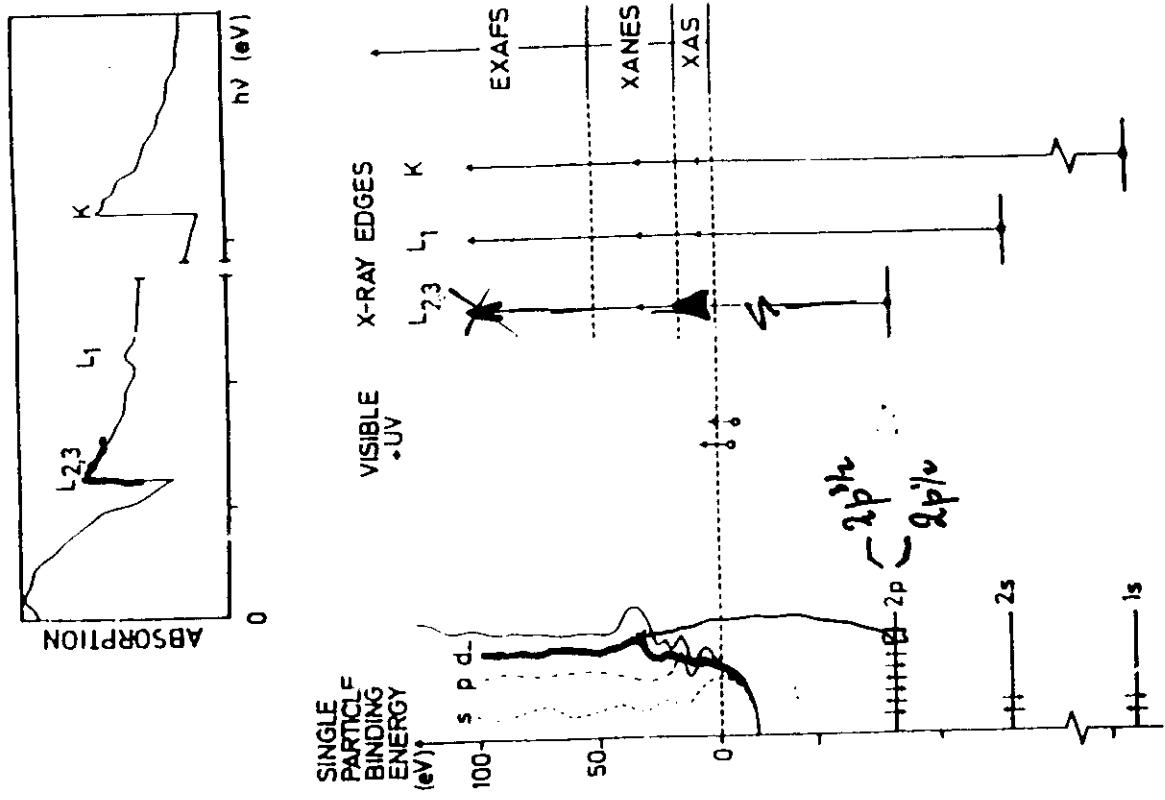
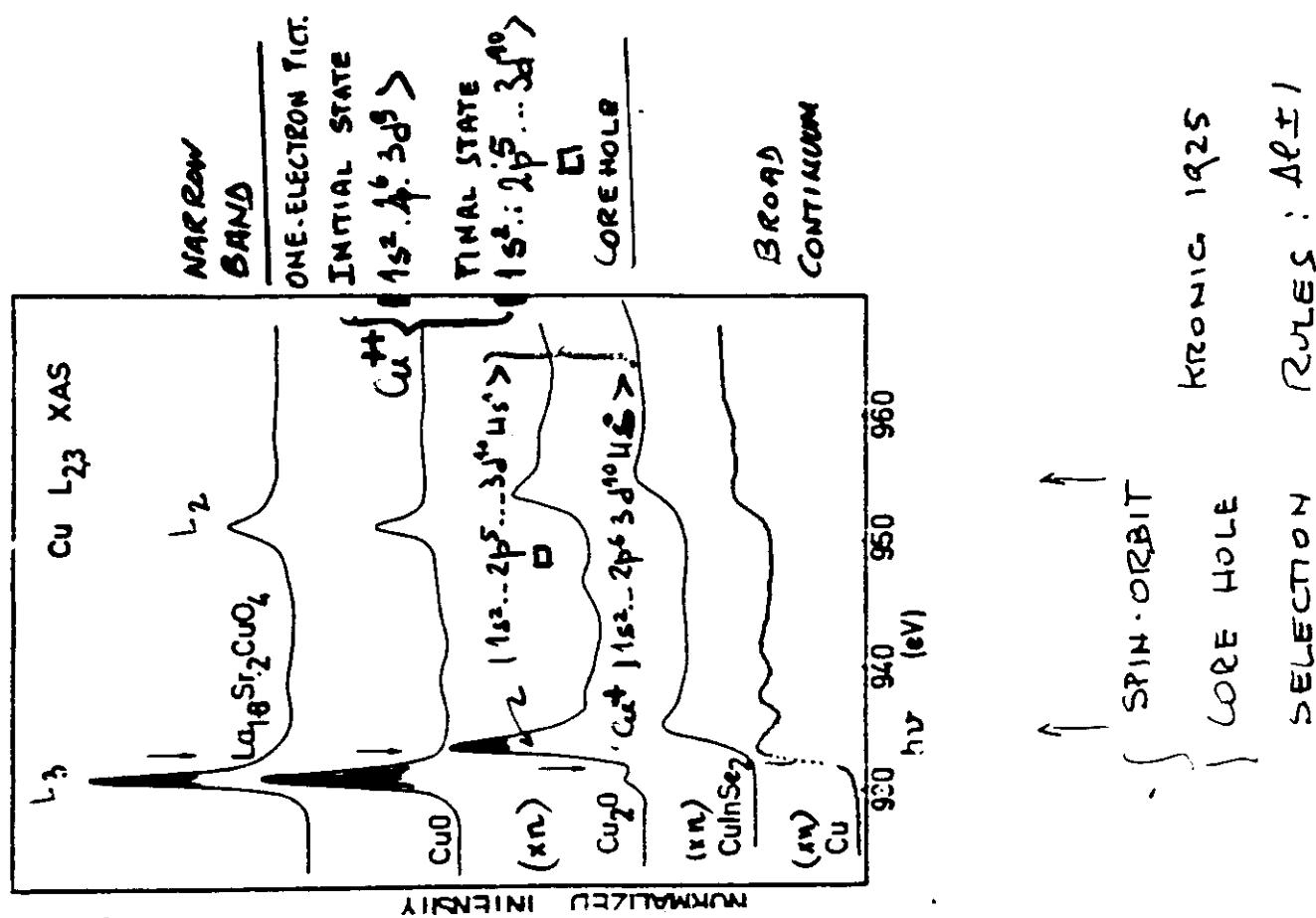
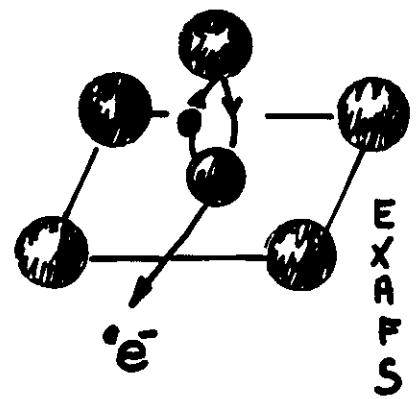


FIG. 3. Photoionization spectra of gas-phase CO close to (a) the C-K and (b) the O-K thresholds. The dominant spectral features in both spectra from excitations of C-1s and O-1s electrons, respectively, into the lowest unoccupied molecular state of Π symmetry; the resolved vibrational structure of the C 1s $\rightarrow \pi^*$ resonance is presented in the inset of (a). The less intense spectral features at higher photon energies (enhanced by a factor of 10 in both cases) stem from 1s-Rydberg-state transitions with vibrational fine structure as well as double excitations (in the C-K case).

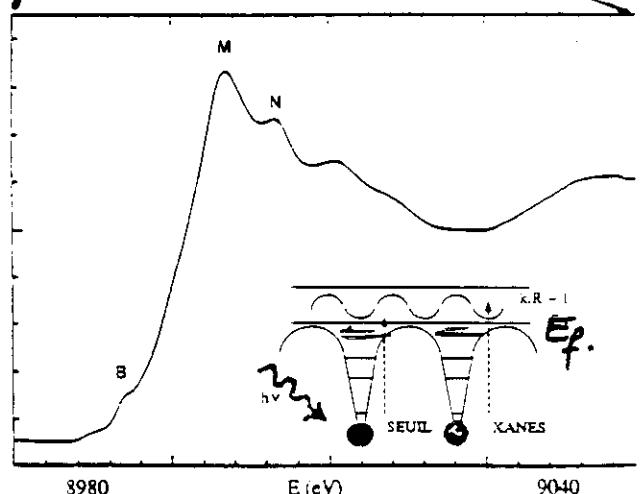
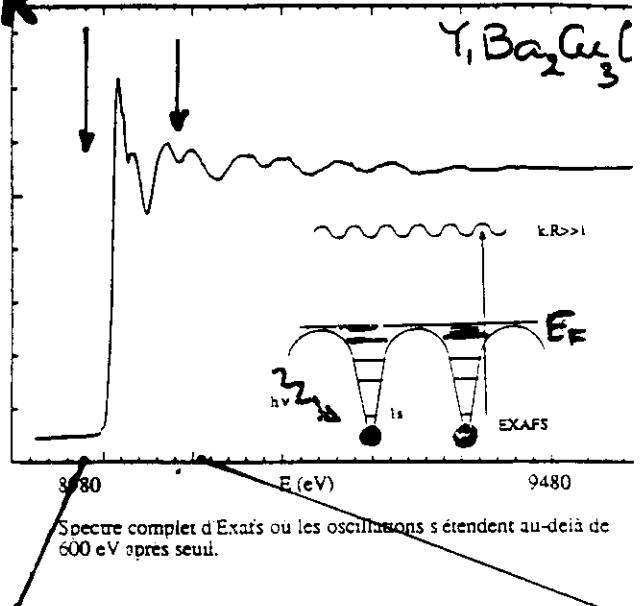
97.8 ~~97.8~~





Cu_K

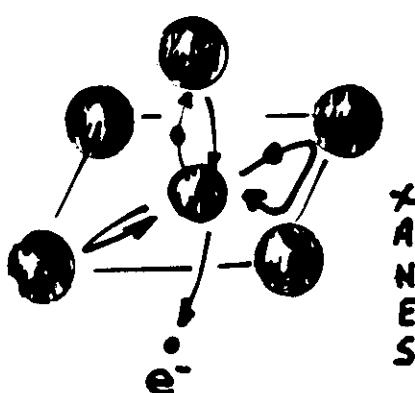
$\text{Y}_1\text{Ba}_2\text{Cu}_3$



Présentation du seuil d'absorption de $\text{Y}_1\text{Ba}_2\text{Cu}_3\text{O}_{6+\delta}$, où l'on peut analyser pratiquement les transitions B, M et N proches du seuil, en termes d'orbitales moléculaires. Au delà de 20 eV on est dans le domaine du Xanes.

3

Séparation schématique d'un spectre d'absorption en trois zones.



XANES

XORE HOLE WELL SCREENED
POORLY SCREENED
* β identification of Cu^{+2}

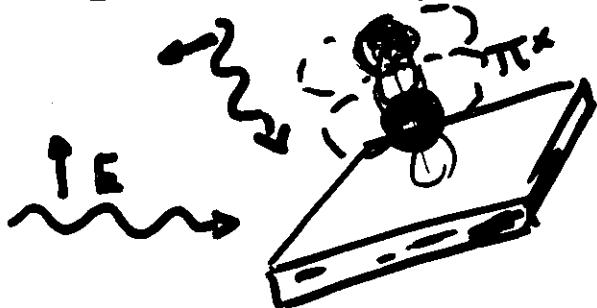
9

SUMMARY

I. INTERACTION: DIPOL. ELECTRIC
and

II. X.R.S. Atom-selective
ZDOS-selective

III POLARISATION



DEPENDENT

$$h\nu \xrightarrow{M} \text{S or } \text{D}$$

$$\xrightarrow{E \text{ or } M}$$

IV Multiplets $\langle f |$

CORE HOLE

PHOTO electron

\rightarrow FINAL STATE

Multiple scattering

or
single scattering EXAFS
(+ E)

V SIMPLICITY of INITIAL STATE

$$| i \rangle$$

GROUND STATE

II EXAFS

Model : single scattering
of the photoelectron

Data analysis scheme
tutorials

III Data Collection

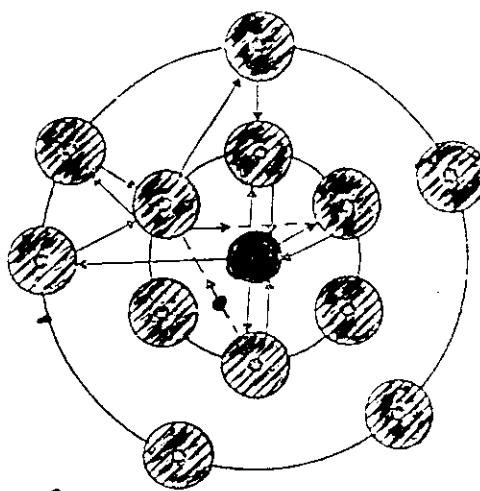
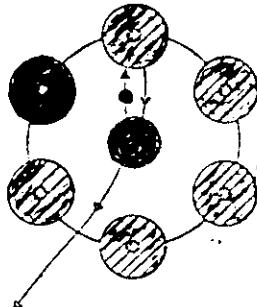
Examples . *

III.1 EXAFS & XANES: SCATTERING MODEL

EXAFS

XANES

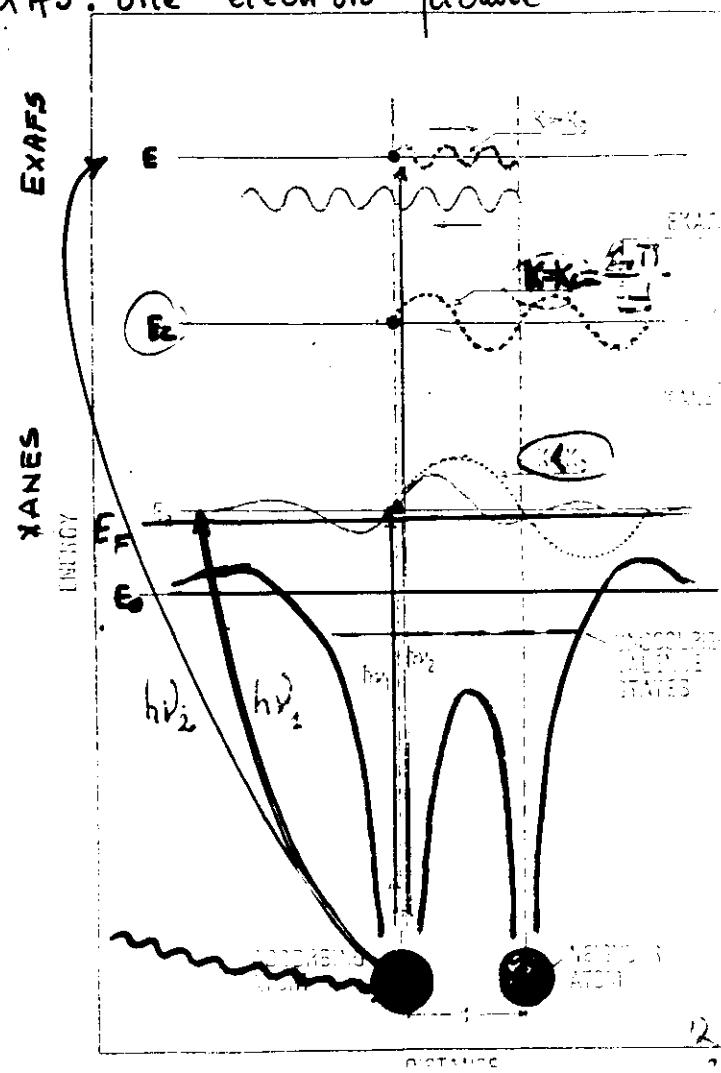
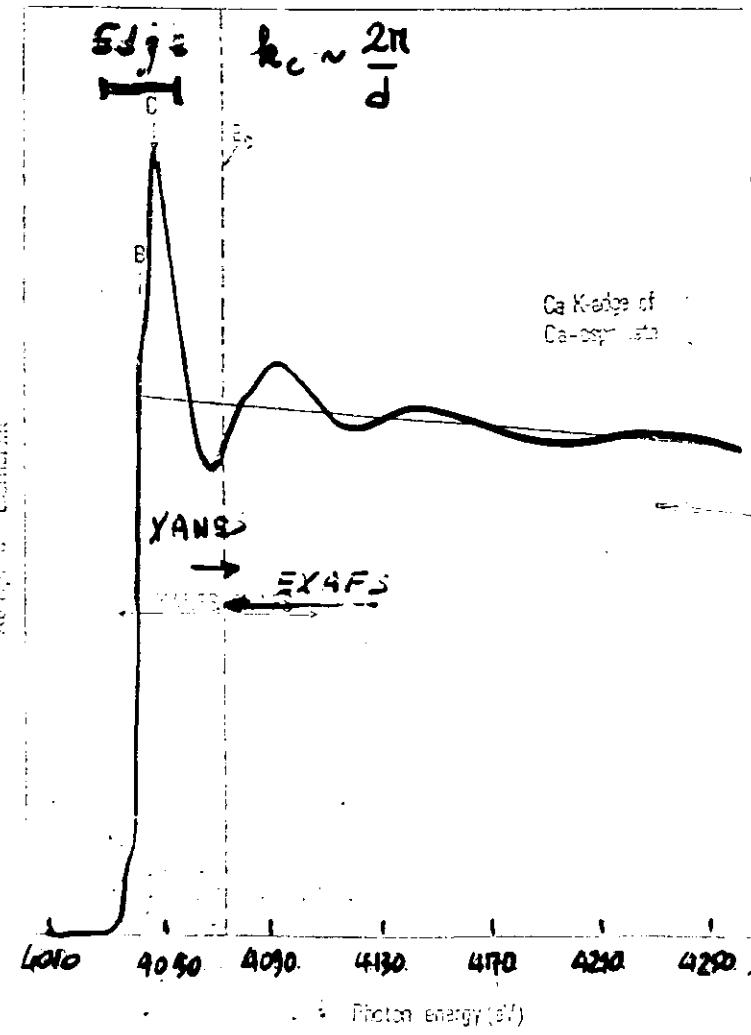
- Absorbing Atom
 - Photoelectron



$$\mu \sim \sum_f | \langle f | \vec{R} \cdot \vec{E} | i \rangle |^2 \delta(E_f - E_i - \hbar\omega)$$

$$|\psi\rangle = |\psi_0\rangle + \text{(scattered wavelets)} \\ \text{isolated atom} \quad \quad \quad \text{neighbours.}$$

XAS: one electron picture

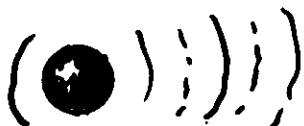


II.

Heuristic derivation

$$\mu = \sum_f |\langle i | \vec{R} \cdot \hat{\vec{E}} \rangle f|^2 \delta(\vec{E}_f - \vec{E}_i - \hbar\omega)$$

ISOLATED ATOM



ANG.	RAD.	PHASE.
$\Upsilon_{l,0} \left(\frac{\vec{R}}{R} \right)$	$h_l(kR) e^{i\delta'_l(k)}$	

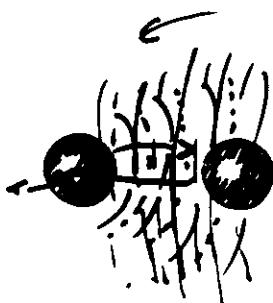
$$|f_0\rangle \sim \frac{e^{i(kR_f + \delta'_i)}}{2kR_f}$$

≡ OUT GOING WAVE

~ plane wave
at R_f

SURROUNDED Emitter

$$|f\rangle = |f_0\rangle (1 + \chi)$$



Backscattering

$$f_f(\pi, k) = \frac{1}{2ik} \sum_l (2l+1) (e^{i\delta'_{l-1}}) P_l^{(-1)}$$

Coming back on the central atom

$$\frac{e^{i k R_f}}{R_f} e^{i \delta'_i(k)}$$

$[2\delta'_i + \theta_i]$

EXAFS SIGNAL

for a

SINGLE BACKSCATTERER

$$\chi(k) = \frac{\mu - \mu_0}{\mu_0} = \frac{-|f_f(\pi, k)|}{k R_f R_f} \sin(2kR_f + [2\delta'_i + \theta_i])$$

B

$$\bullet \quad X(k) = \frac{\mu - \mu_0}{\mu_0}$$

$$\bullet \quad X(k) = -\frac{1}{k} \sum_j \frac{1}{R_j^2} |f_j(\pi; k)| \sin(2k R_j + \phi_j(k) + \theta) \times e^{-2\sigma_j^2 k^2} \cdot e^{-\frac{R_j}{\pi}}$$

Powder
or
cubic lattice \sum_{N_j}
 shell

$$\bullet \quad \frac{\hbar^2 k^2}{2m} = E - E_0 \quad \text{origin of the kinetic energy}$$

$$\bullet \quad e^{-\frac{R_j}{\pi}} \quad \text{mean free path of the photoelectrons}$$

$$\bullet \quad e^{-2\sigma_j^2 k^2} \quad D.N. \quad \text{static or dynamic disorder}$$

ADVANTAGES of EXAFS.

① SELECTIVITY of the "ELECTRON" SOURCE

Cu_K 8979.8 Zn_K 9659 Eu_{LII} 6977 eV.

② GOOD ACCURACY IN BOND LENGTH DET
0.01 Å

③ CHEMICAL IDENTIFICATION of NEIGHBORS
& COORDINATION NUMBER

Δz large enough, $\pm \frac{1}{4}$ in best cases
(out of 12)

NEEDS

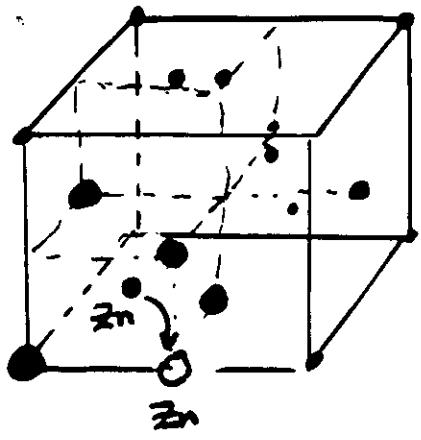
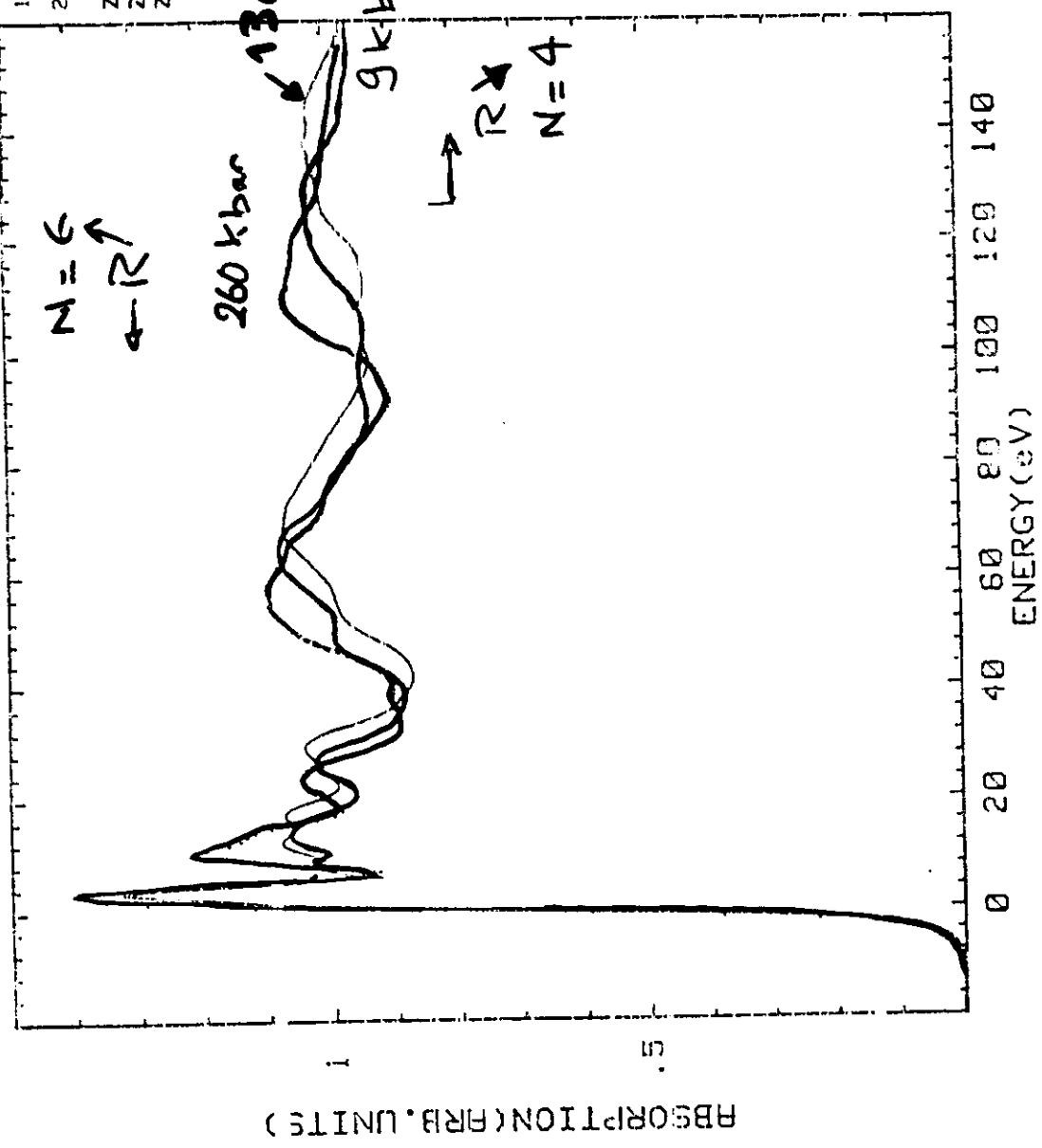
PHASE SHIFTS

≠ BACKSCATTERING AMPLITUDES

$$\text{MAX} \rightarrow 2\pi R + t = \frac{\pi}{2} + n\pi$$

14 Jun 1990
15:54:21
20 100 20 95

ZHS9
ZHS130
ZNS250

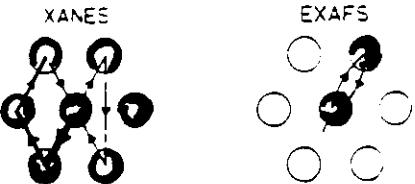


Zinc blende (Cu)

N_5

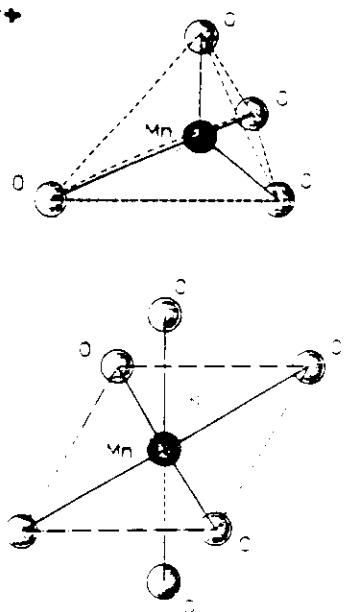
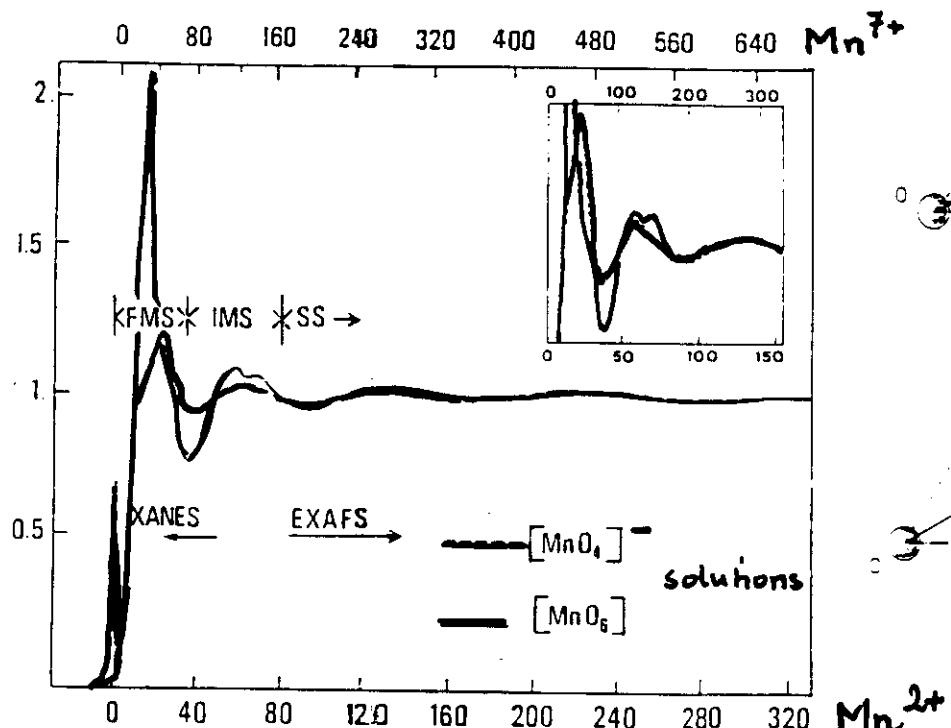
Zn K-edge

Zn C



(a) Mn dans des sites octaédrique et tétraédrique

ENERGY (eV)



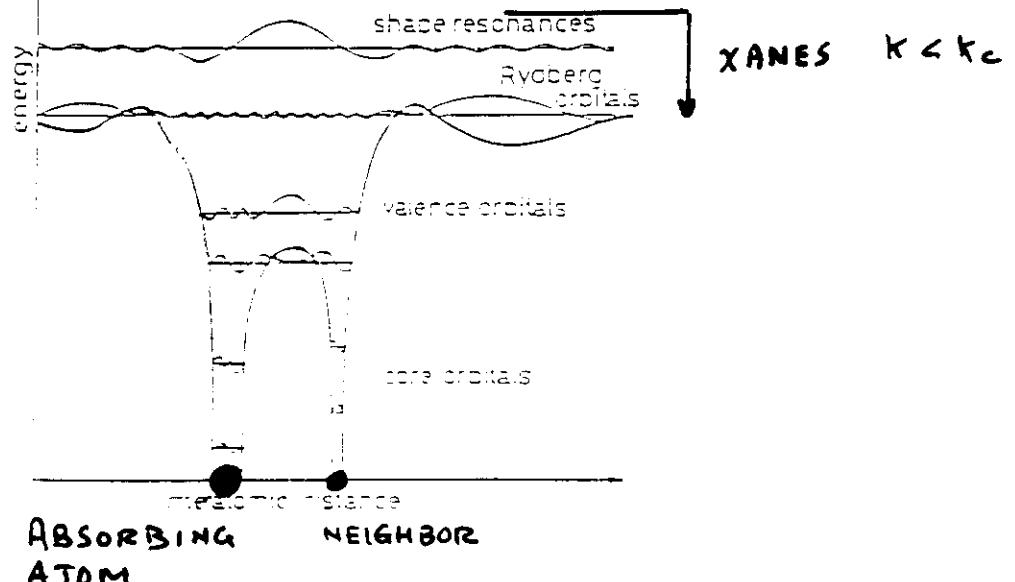
$$E = \frac{\hbar k^2}{2m}$$

continuum orbital

EXAFS

 $k > k_c$

$$k = k_c \sim 2\pi/d$$



SUMMARY

EXAFS \approx SPHERICAL LEED

\approx DIFFRACTION OF LOW ENERGY ELECTRONS

where the SOURCE OF e^- is
INSIDE THE SAMPLE
ON A SELECTED ATOM

EXAFS and OTHER SCATTERING TECHNIQUES

◆ X-RAY SCATT. PAIR CORRELATION FUNCT.

Binary alloy AA }
AB }
BB

Bad News EXAFS does not see long distances

Good News EXAFS is accurate to evaluate local order

◆ NEUTRONS $b > 0$ $b < 0$

GOOD CONTRAST

EXAFS $f_s(\pi, b)$ & its PHASE

◆ X-Ray WEAKER INTERACTION THAN e^-
STRONGER — — — THAN e^-

Hard X-rays Sample

"REASONABLE VOLUME"

III. 3 c
DEBYE - WALLEZ DAMPING



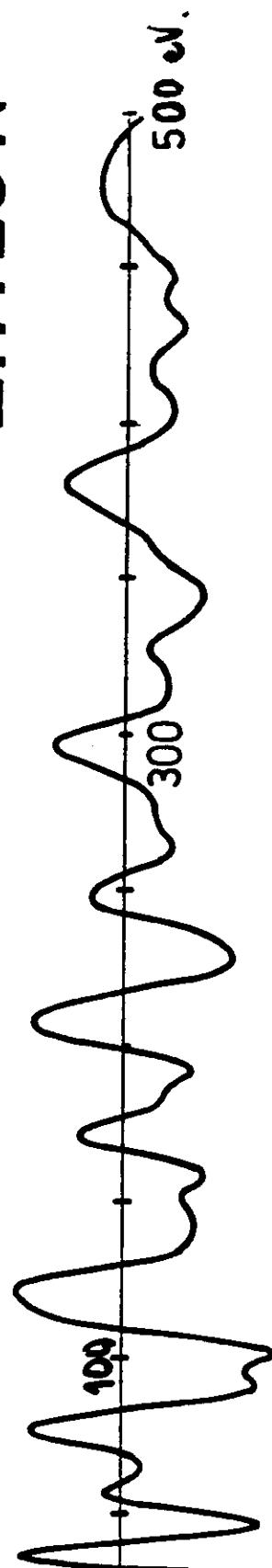
$$a' = 2.912 \text{ \AA} \quad a = 2.66 \text{ \AA}$$

$$c/a = 1.86$$

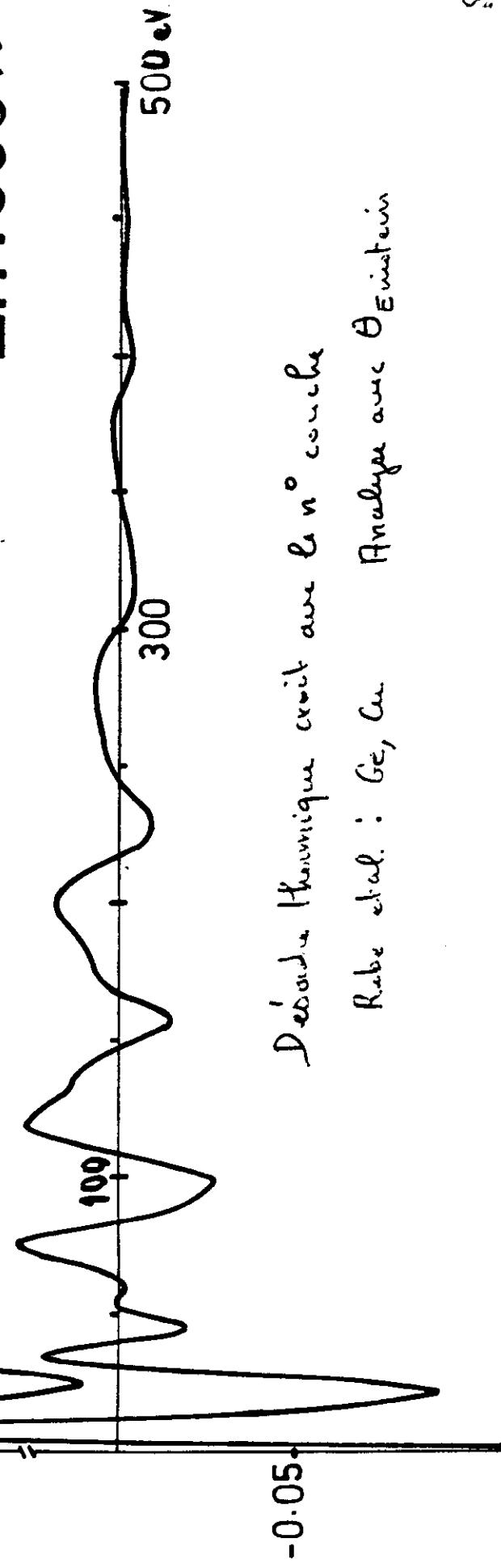
$$\frac{a_3}{a} = 3.925 \text{ \AA}^2 \text{ at } 25 \text{ K.}$$

Cantilever graphic scale.

Zn : 25 K



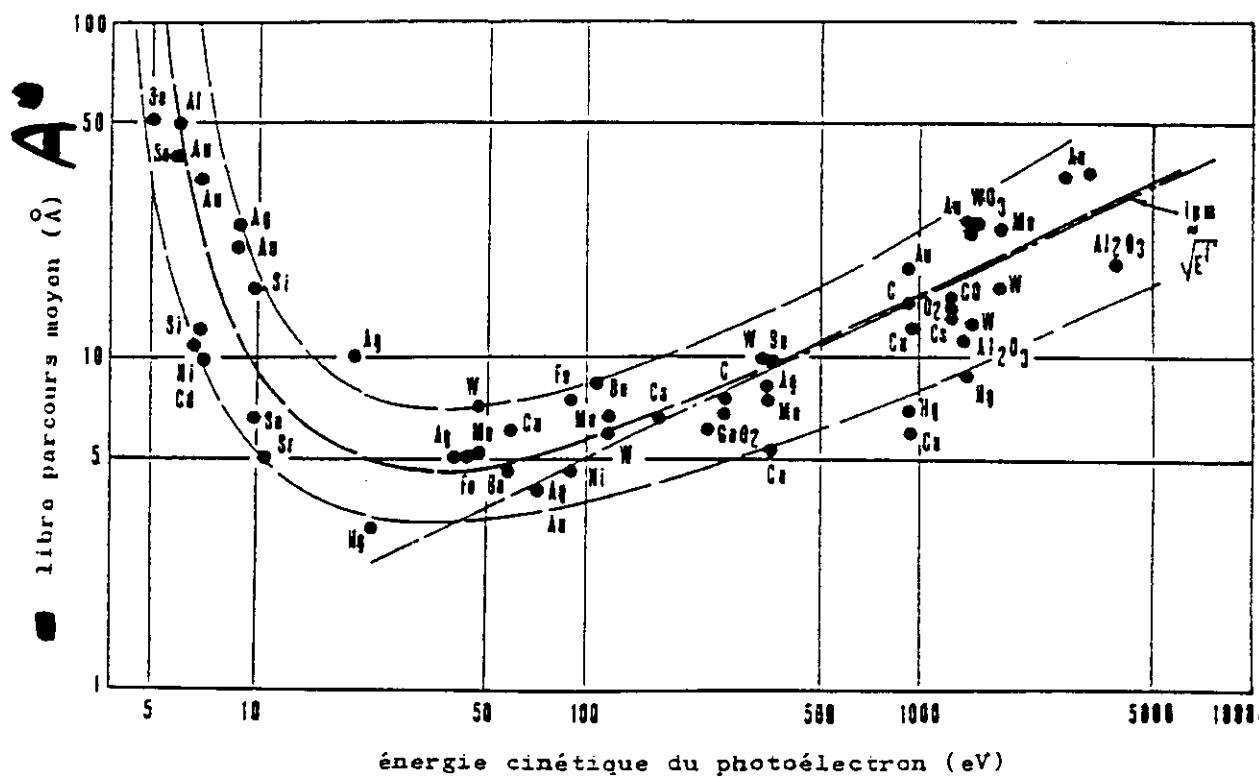
Zn : 300 K



Demande thermique croît au fur et à mesure

Rabe et al. : Ge, Cu Analyse avec Einstein

Mean free path of the photoélectrons



$$\rightarrow \frac{1}{E}$$

$$\lambda \propto \frac{1}{E}$$

$$E_{\text{kin}} > 50 \text{ eV}$$

Figure I.6 - d'après C.R. Brundle (référence / 3 /).

Libre parcours moyen des électrons dans un solide en fonction de leur énergie cinétique.

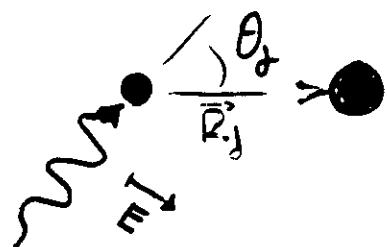
"universal" ?

$\lambda \sim k$ a.u.

A
TJ.

$$X(k_2) = - \frac{1}{k R_j^2} \sin(2kR_j + \phi) 3\omega^2 \theta_j$$

$$\cos \theta_j = (\vec{E}, \vec{R}_j)$$



AVERAGING $\rightarrow \langle 3\omega^2 \theta_j \rangle = 1$

ASSUMPTIONS

- 1 e transition
- + INGREDIENT (core hole relaxation)
- Plane wave
- SINGLE SCATTERING
 - { NOT NECESSARY
USED for
1) SAME OF CLARIT
2) PRACTICAL APP.

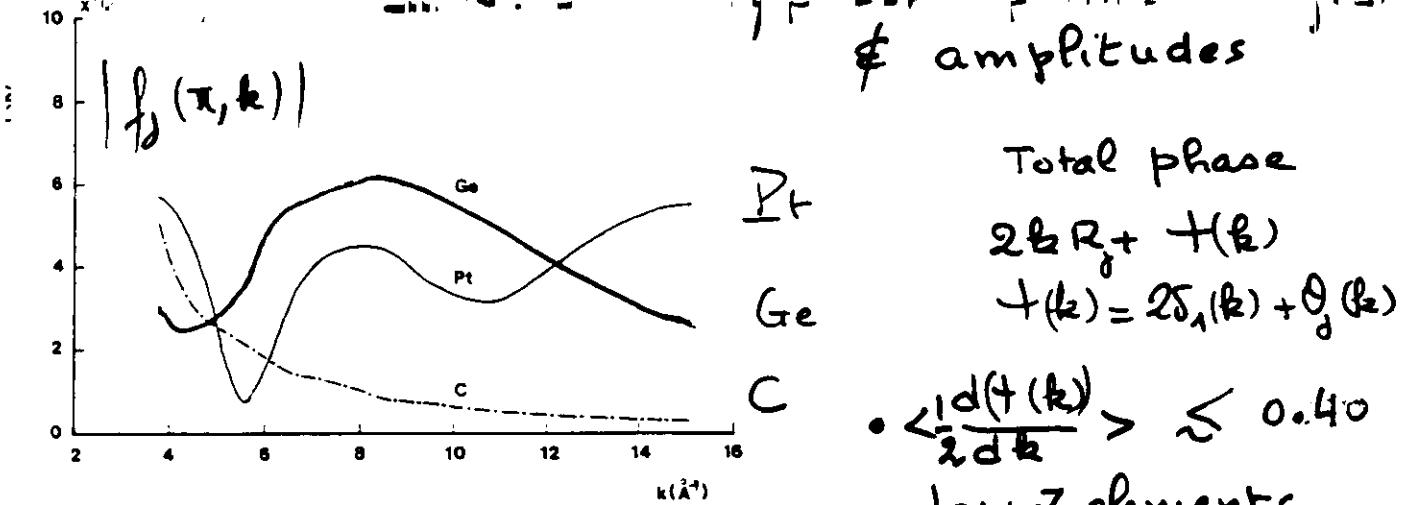


Figure 6.4. Theoretical backscattering amplitudes versus k for C ($Z = 6$), Ge ($Z = 32$), and Pt ($Z = 78$) after Teo and Lee (14).

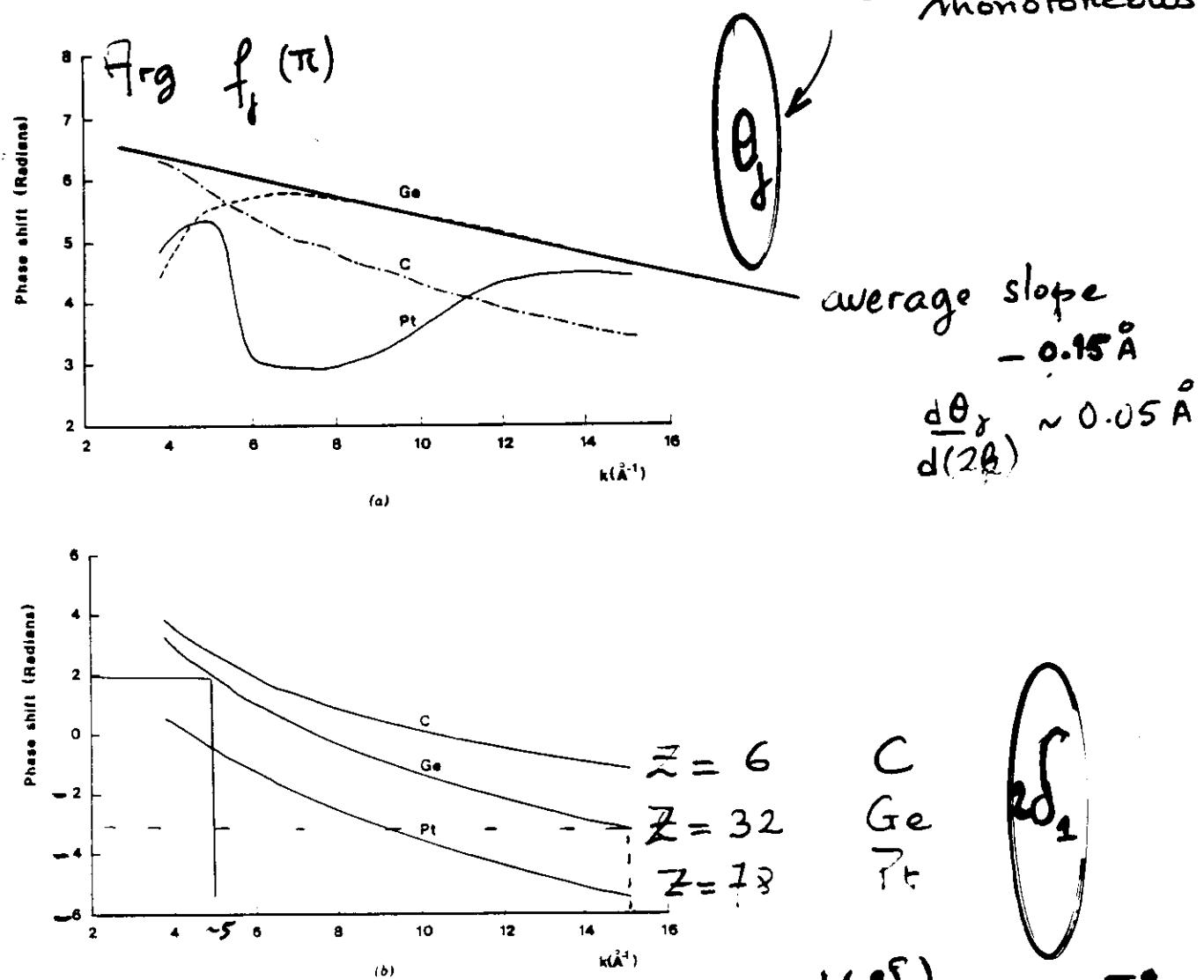


Figure 6.5. (a) Theoretical scattering phase shifts for carbon, germanium, and platinum versus k . (b) Theoretical central atom phase shifts for carbon, germanium, and platinum. All calculations are from Teo and Lee (14).

$$\text{Phase} = 2kR_g + 2\delta_1(k) + \Theta(k) \Rightarrow \text{VERY GOOD EVALUATION of DISTANCES}$$

$\downarrow 85\%$ $\downarrow 13\%$ $\uparrow 2\%$

Total phase
 $2kR_g + \Theta(k)$
 $\Theta(k) = 2\delta_1(k) + \Theta_g(k)$

- $\left\langle \frac{d\Theta_g}{dk} \right\rangle \lesssim 0.40$
- low Z elements
- high Z : $\Theta(k)$ non monotoneous

average slope
 -0.15\AA

$$\frac{d\Theta_g}{d(2k)} \sim 0.05 \text{\AA}$$

C
Ge
Pt

$$\left\langle \frac{d(2\delta_1)}{dk} \right\rangle = -0.5 \text{\AA}$$

III S.R

Phase shift & amplitudes

- * Theoretical evaluations

Excellent for phase shifts

Good for AMPLITUDES

- * Best procedure to evaluate ϕ and $|f(\pi)|$ for the AB+

a/ Measure a well-known sample with a simple lattice.

with a structure close to the UNKNOWN sample

with A as absorber

B as backscatterer

b/ Extract phase shift $\phi(k)$ and amplitudes $|f(\pi)|, R$

c/ Transfer into the data analysis of the unknown sample.

- * KEEP STANDARDS & INVESTIGATED SAMPLES AS CHEMICALLY CLOSE AS POSSIBLE

- * WELL-CONDITIONED PROBLEM

HIGH PRESSURE EXP. SAMPLE @ $P=0 \Rightarrow$ STANDARD

III . 4

EXAFS: LOCAL & SELECTIVE PROBES
useful for

- isolated IMPURITY in a MATRIX.
local distortion
- local symmetry determination.
tetra or octahed. sites
- small particles
Clusters (metallization), catalysis
- dilute samples

SURFACE PHYSICS

< monolayer on surface (EXAFS)

PHYSICS

Phase transformation
Actual phase of sandwiched film
Thin films .. , Super

BIO PHYSICS

Fe in Hemoglobin.
Reactivity CO, C₂

GEO PHYSICS

High Pressure, High Temp.

CHEMISTRY

In-situ experiments
Battery, Electrochemistry

MATERIALS SCIENCE

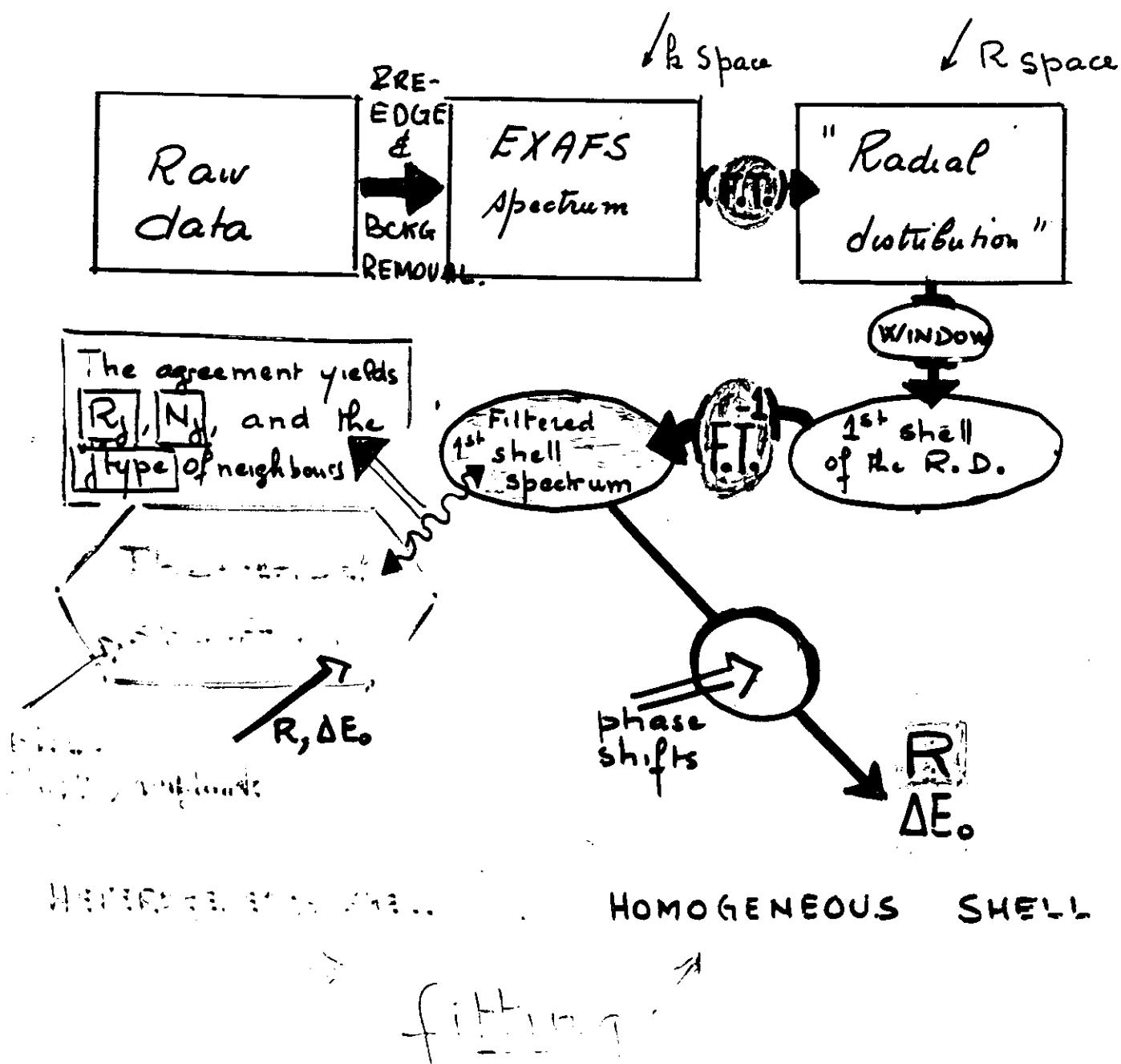
Sub-solids
Semiconductors
Insulators
Magnetic alloys ..

II-2 DATA ANALYSIS

ST 27
MS

a/ SCHEME

$$\begin{cases} \Delta E_0 = E_0 - E_{\text{threshold}} \\ |\frac{\pi^2 k^2}{2m}| = E - E_0 \end{cases}$$

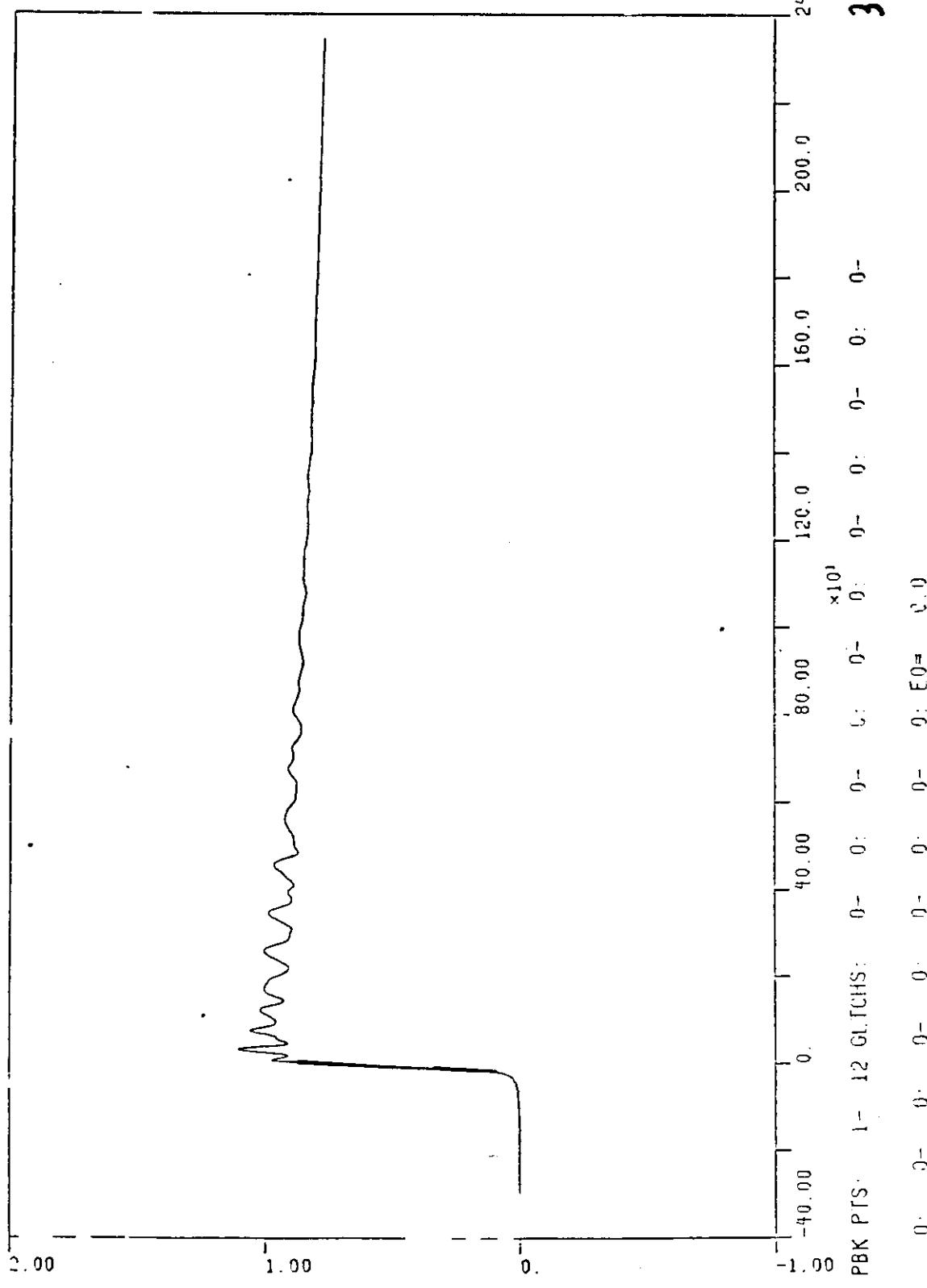


4/4 c.c. Shrub
II

O/Rh foil / Sayers. 2/11k/-3/extended over 300m 29,2 Kef

I.S.C. Rh foil & evaluation of accuracy
in R, N determinations in the best conditions
for both experiment & data handling

RH FOIL NT LONG SCIN 3/63 1005

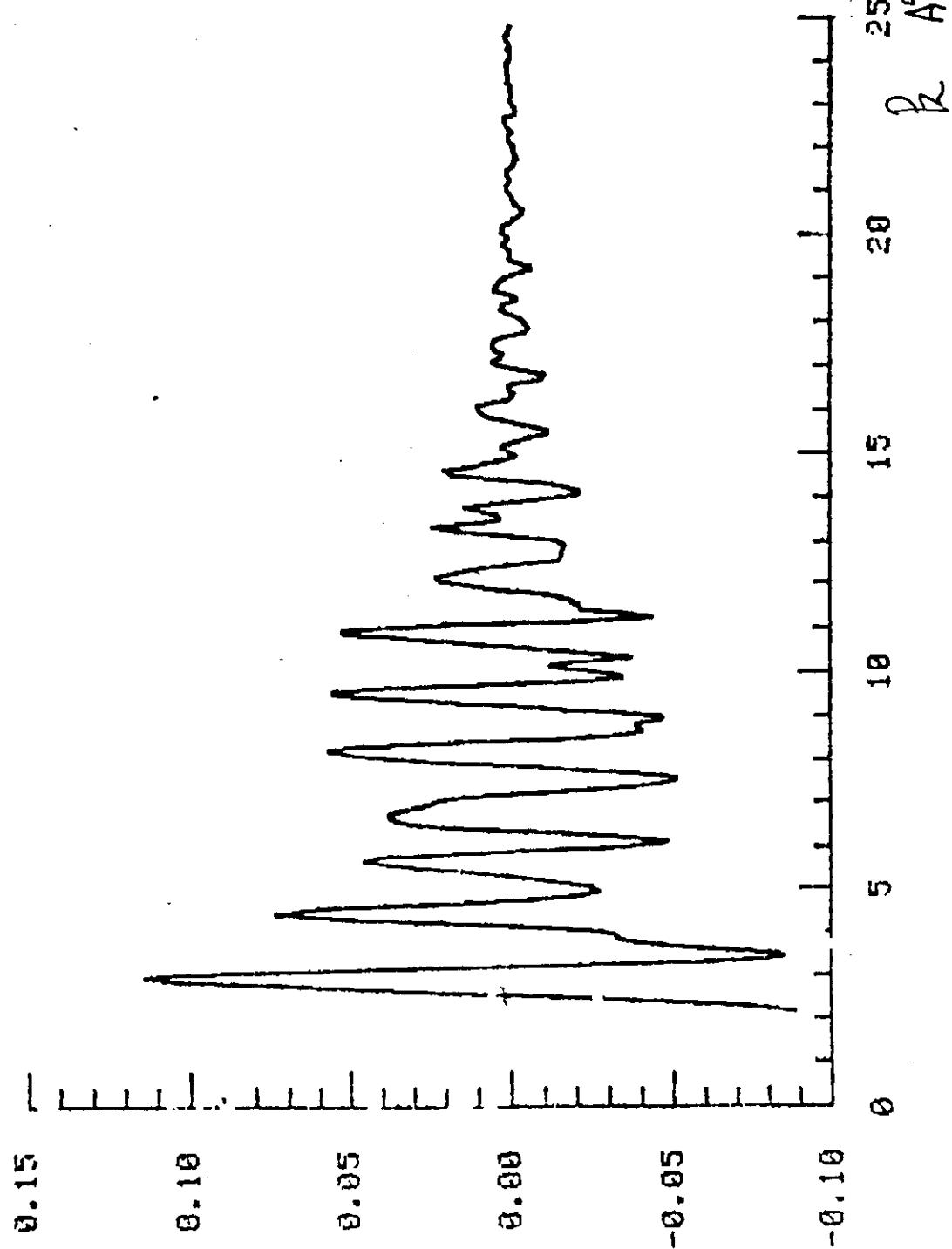


III.5.d

EXAFS SIGNAL

17 oscillations

→ Accuracy limited
by phase shifts knowledge



17

26
25

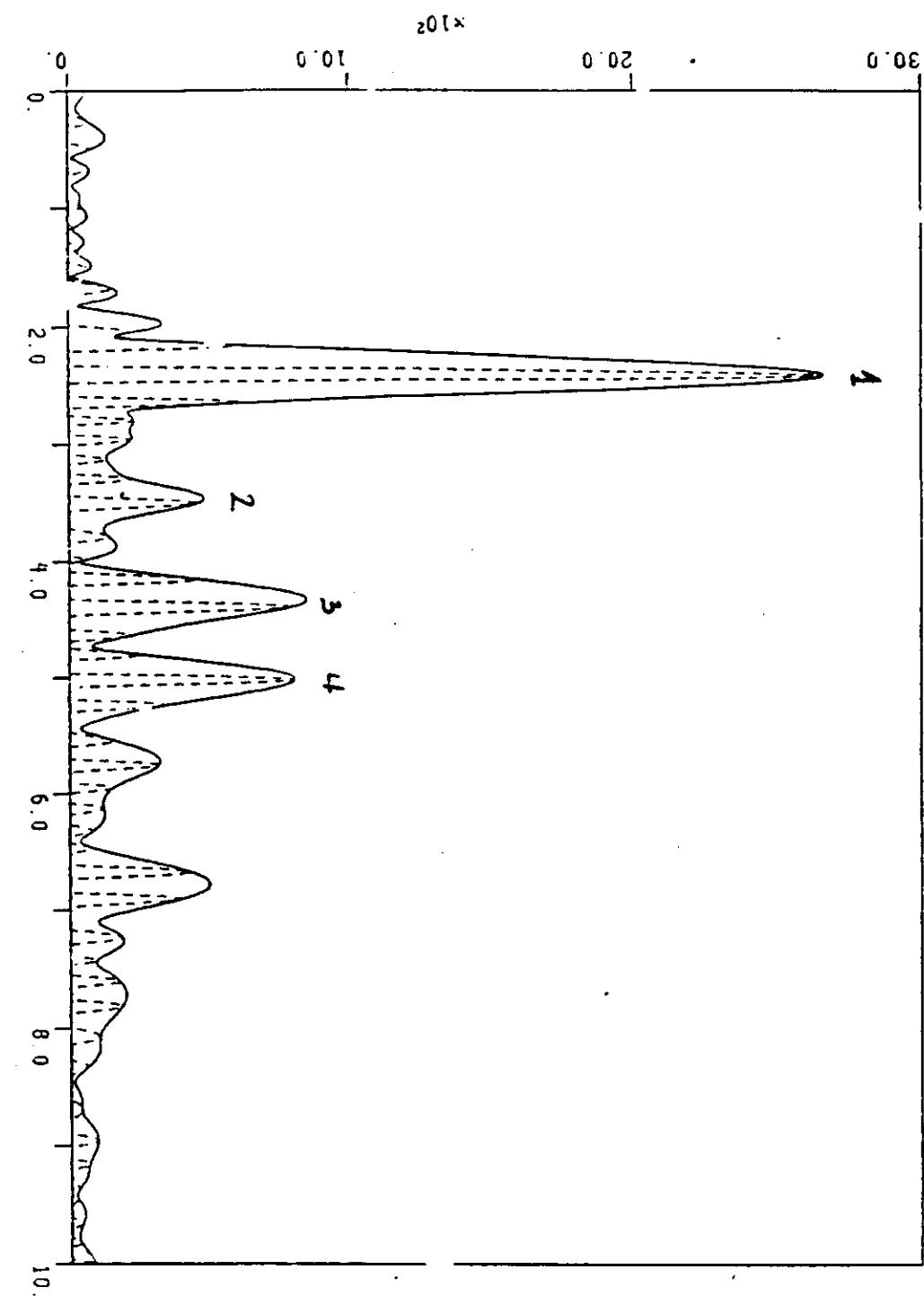
RH FOIL NT LONG SCAN 3/63 1005

F.T.

8 8 2-22-81

PS III

$\kappa^3 \chi(k)$



PBK PTS: 1- 12 GLTCHS: 0- 0- 0- 0- 0- 0- 0- 0- 0- 0- 0- 0-

0: 0- 0: 0- 0- 0- 0- 0- 0- 0- 0- 0- 0- 0- 0-

2620 HE=1 00001 SEG=0 WT=3.00 FH=.0 TR: 2.60-18.40 RM=10.00 DR=.010

58-16

Rhodium Foil. (f_c) (Data SSRL)
D. SAYERS. NCSU Line I 5 Feb 81.

shell #	k-range	λ	N	R	$\Delta\sigma^2 \cdot 10^4 \text{ Å}^2$	$E_0(\text{eV})$
1	5 - 17	21	12	2.69	2.23	- .24
1	6 - 16	"	11.8	2.69	2.13	.42
2	5 - 17	"	4.77	3.80	1.96	- .06
2	6 - 16	"	4.78	3.80	1.97	- .24
3	5 - 17	"	24.7	4.67	3.12	- .4
3	6 - 16	"	25.1	4.67	3.21	- .4
4	5 - 17	"	12.1	5.38	3.14	+ .4
4	6 - 16	"	12.78	5.38	3.38	+ .2
		$A = -1$				

Möller
→
Phase shift
Δ Δm p/nud

EXAFS

ANALYSIS

Not "TOTALLY" SOLVED?

- Phase shifts and Amplitude TRANSFERABILITY
App. Muffin Tin
- Many body problems

BREAKTHROUGH

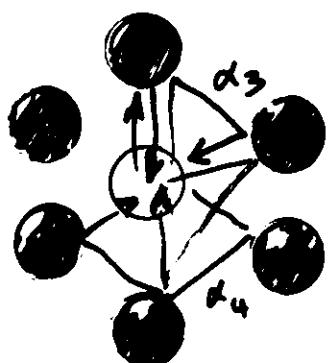
- MULTIPLE SCATTERING

C. Natoli

P. Durham

J. Rehr

(FEFF code)



along "multiple" paths

- less efficient
- more numerous

- CUMULANT ANALYSIS $\sigma^2, c^3 (T)$

C. Dragóš, J. Trčák, O. Stránská, K. Balážová, T. Apel Phys. (1993)

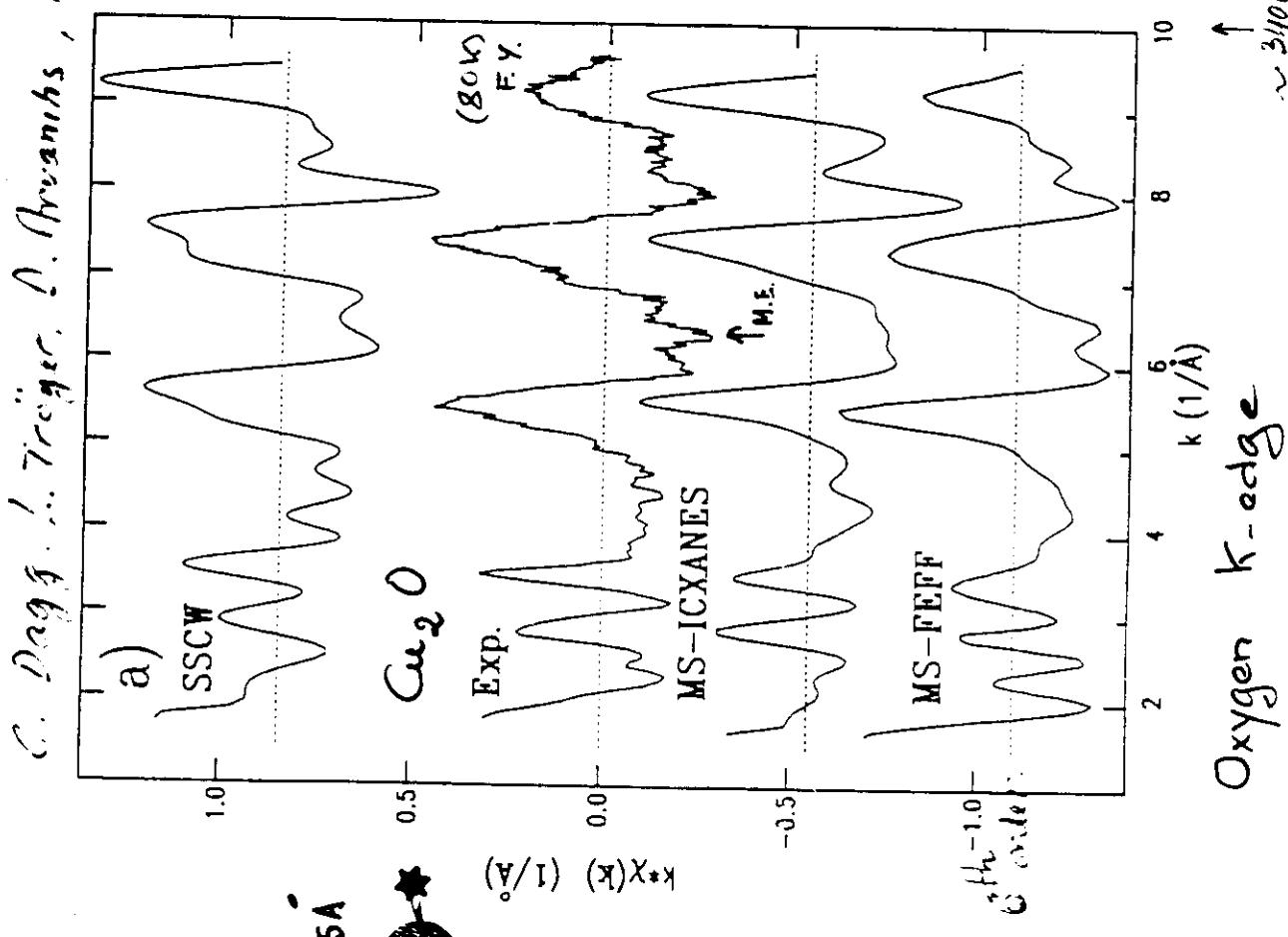
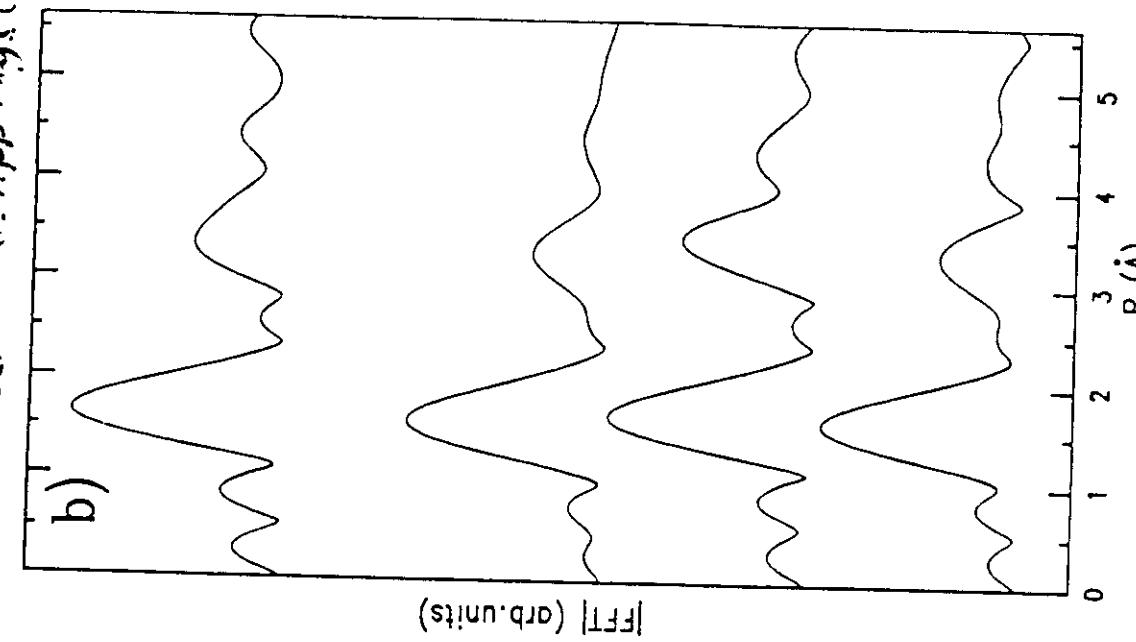


Fig. 3

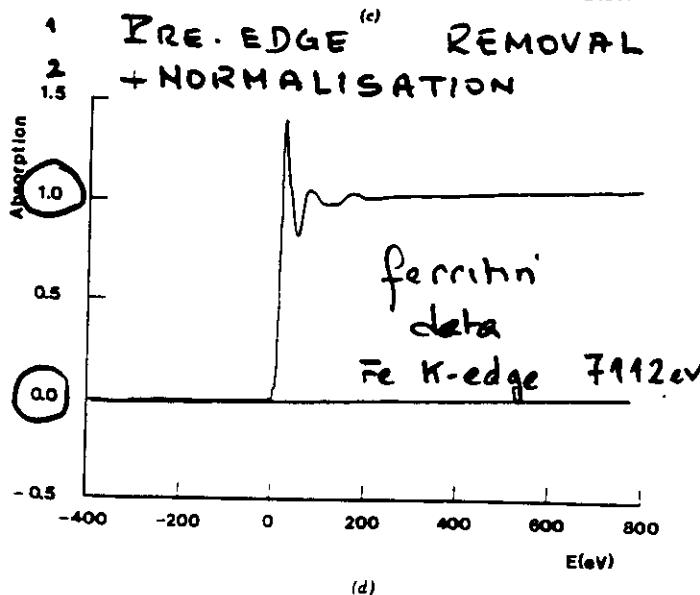
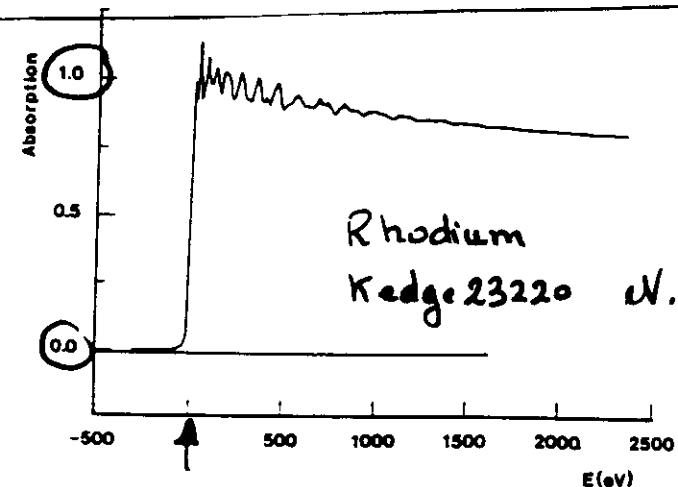


Figure 6.1. (Continued)

3 Choice of E_0 as the inflection point.

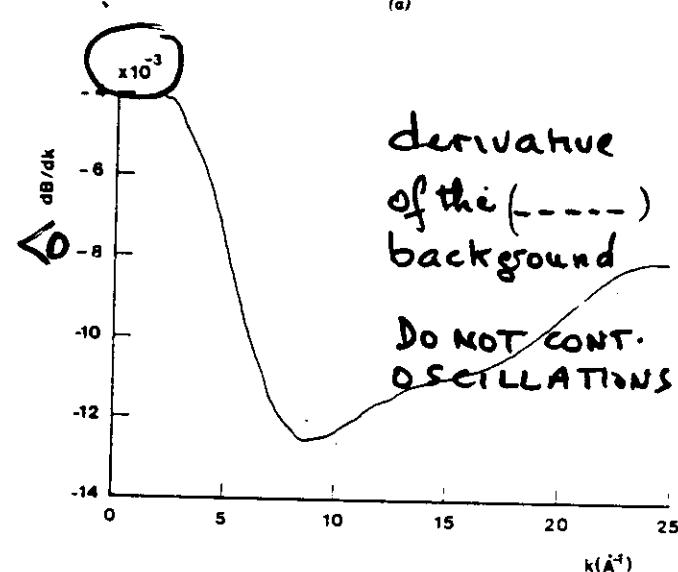
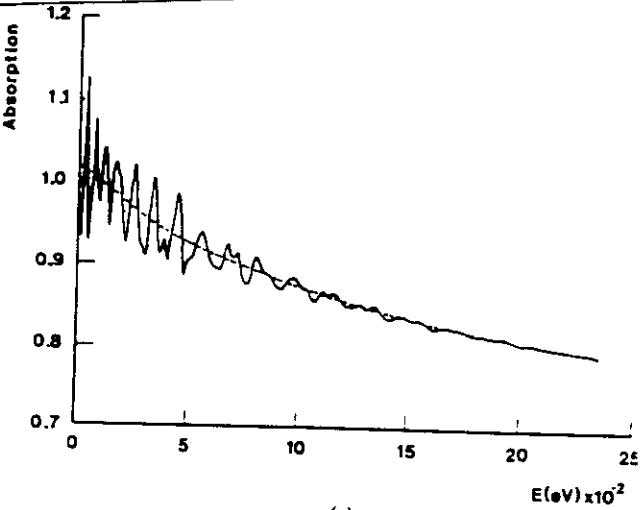


Figure 6.2. (a) The normalized data of Fig. 6.1c for rhodium metal showing an expanded scale for the data above the edge. The calculated background curve used to extract the EXAFS is shown as a dashed line. (b) The derivative of this background curve versus the photoelectron wave vector k . (c) The normalized EXAFS for rhodium metal plotted versus k .

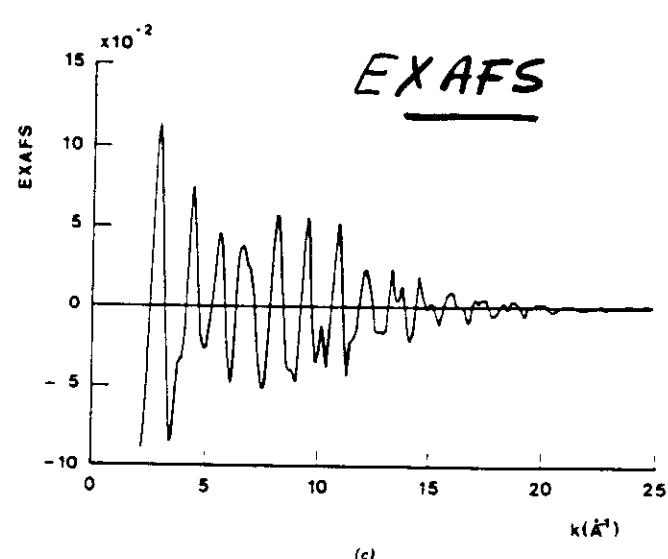


Figure 6.2. (Continued)

D.SAYERS, B.A. BUNKER
Ch 6. El Koningsberger, Zn₂
J. Wiley - Chemical Analysis 92

V CONCLUSIONS

What do we (try to) learn?

1. FERMI GOLDEN RULE + DIPOLE APPROXIMATION

$$\mu \propto \sum_f |\langle f | \vec{E} \cdot \vec{r} | i \rangle|^2 \delta(E_f - E_i - \hbar\omega)$$

- 1s site selectivity
- $1f>$ 2DOS selectivity
+ selection rules
- $\vec{E} \cdot \vec{r}$ Anisotropy sensitivity & any sym. breaking
- $1f>$ CORE-HOLE RELAXATION VALENCE SENSITIVITY

2. EXAFS

$$\chi(k) = -\frac{1}{k} \sum_j \frac{N_j}{R_j^2} 3 \omega^2 \theta_j \exp -2\beta_j k^2 \exp -2k_j / \lambda(\omega)$$

$$|f_j(\pi, k)| \sin(2kR_j + 2\delta(k) + \arg f_j(\pi, k))$$

- Anisotropy sensitivity
- "SPHERICAL LEED" (Low Energy Electron Diff.)
- Sensitivity to disorder.

EXAFS = STRUCTURAL PROBE with
LOCAL ABILITY, i.e.
FOR COORDINANCE

COMPLEX BACKSCATTERING AMPLITUDE
PHASE + AMPLITUDE

WHAT don't we Learn ?

details
+

- XANES (multiple scattering) as a TOOL
to access to CORRELATION FUNCTION
BEYOND THE 2nd ORDER
- NEAR EDGE STRUCTURE in HIGHLY CORRELATED SYSTEMS
(Rare earths, high T_c's)
as an electronic PROBE for
VALENCY
MAGNETISM
- HOW TO GO BEYOND THE ONE ELECTRON PICTURE .
- -----

THEREFORE → EXTRA WORK

X-ray Absorption Principles, Applications, Techniques
of EXAFS, SEYAFS, XANES, ...
Ed. by J.C. Krijnsberger, R. Prins, WILEY Interscience Pub.

A HISTORY OF X-RAY ABSORPTION FINE STRUCTURES

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Annales de Phys.
1989/14 / Aout
P 377-400

1. The discovery of X-ray absorption edges

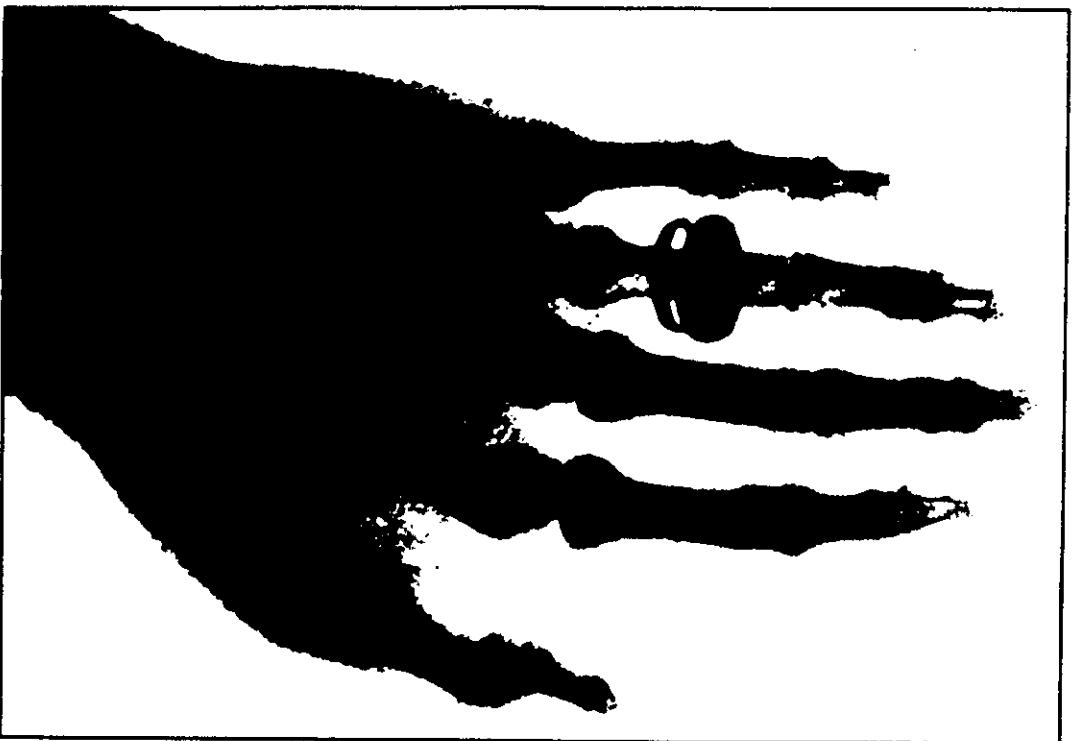
1.1. The prehistory

The question of the origins is always involved, but it would be difficult to date back the X-ray absorption spectroscopy before the eighth of November 1895 in the evening.

① That very day Wilhelm Conrad Röntgen was studying the discharge of electricity in rarefied gases by operating a Wentzien tube (some kind of Crookes tube) wrapped in a black cardboard. Some distance apart, there was a screen covered with barium platinum cyanide. Much to his surprise Röntgen saw the screen glowing: the first X-ray was detected. He reported his observations in a local journal (Röntgen 1895) where, almost incidentally, he named the new rays in a footnote: "Der Kürze halber möchte ich den Ausdruck "Strahlen" und zwar zur Unterscheidung von anderen den Namen "X-Strahlen" gebrauchen (to shorten I shall use the designation "rays", and to differentiate it from the others the naming "X rays")".

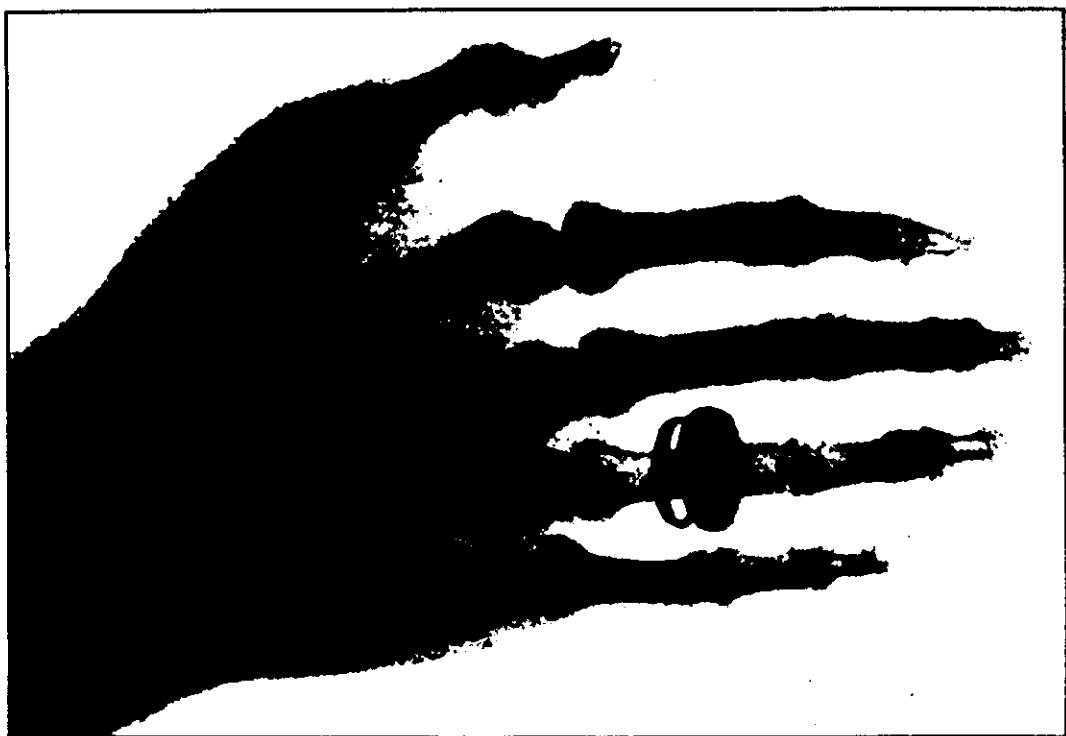
② The news spread very fast over the world and created an extraordinary enthusiasm (rather comparable to the one caused by the high T_c supraconductors almost a century later): only in 1896 more than 1000 papers were published on the subject (Segrè 1980).

③ The study of the influence of X-rays on matter began immediately. In the course of experiments carried out in the laboratory of the Ecole Normale Supérieure, Jean Perrin (1897) noticed that the metals irradiated emitted charged particles. In 1898 Georges Sagnac discovered that "La surface d'un métal M, frappée par les rayons X, émet de nouveaux rayons que j'ai appelés rayons secondaires du métal M [... et qui ont] la propriété d'être absorbés complètement par le métal M qui les émet [?] (the surface of a metal M, receiving X-rays, emits new rays that I call secondary rays of the metal M and which have the property of being completely absorbed by the metal M which emits them)" (Sagnac 1898a). This was the first allusion to the fact that chemical elements could emit characteristic radiations. Three years later, Sagnac wrote a review article entitled "X-rays, matter and electricity", in which he came to the conclusion that: "Le pouvoir de transformation d'un métal vis-à-vis des rayons X [la fluorescence X] paraît distinguer ce métal d'un autre métal, sauf quand les poids atomiques sont assez voisins (Pb et Pt) ou que les métaux sont des éléments chimiques analogues (Fe et Ni). L'étude de l'action électrique d'un corps frappé par les rayons X permet d'y reconnaître la présence d'une petite quantité de métal".



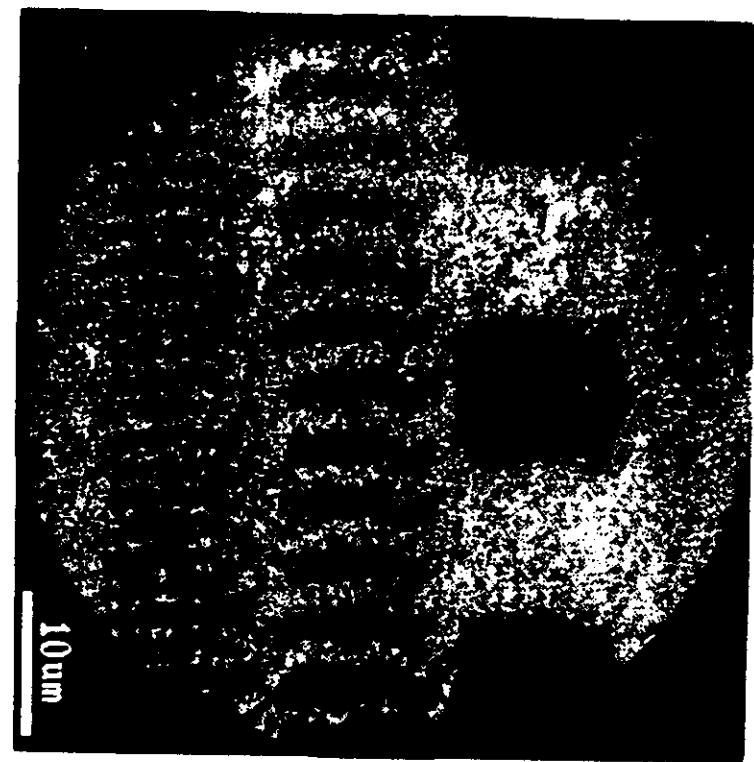
NOV 1895

Röntgen



97.35

35



Average Pixel Value

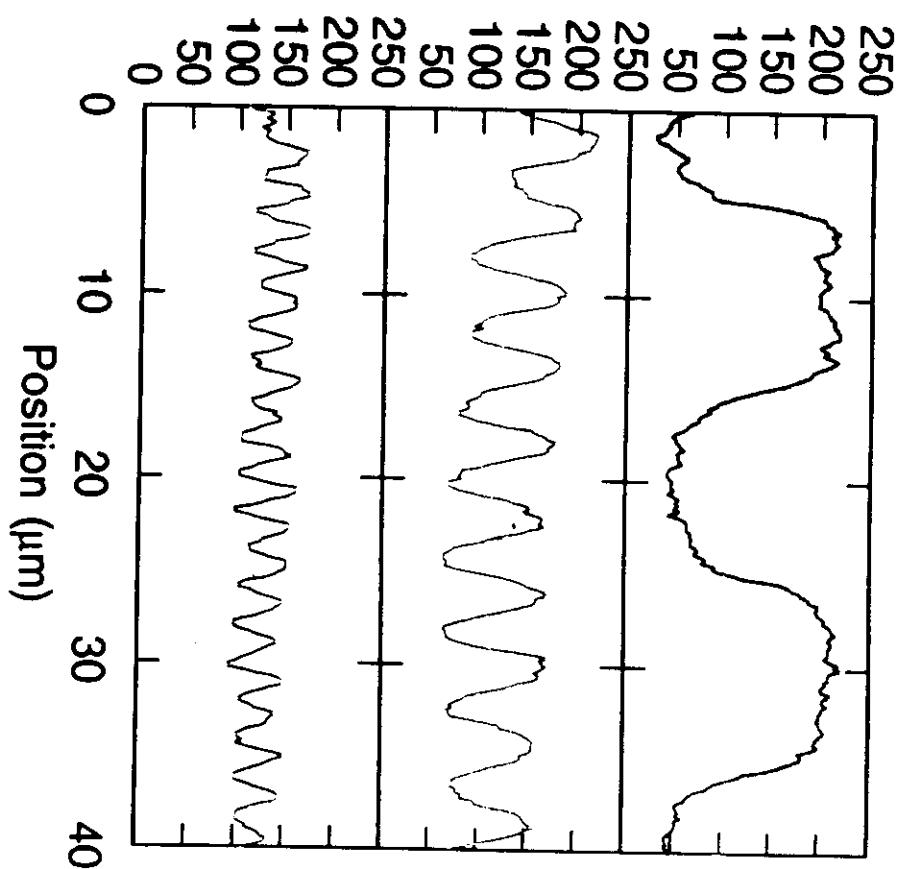


IMAGE =

www.HA_Hist

C_0 \hookrightarrow 778 eV — LEFT HANDED $h\bar{v}$
 C_3 (i.e. 793 eV) — RIGHT HANDED $h\bar{v}$

J. Stöhr, B. Tamm
 ...

MCXD Microscopy

Diff. Image @ 778eV

793eV

L_{II}

$94\text{p}\mu$
→ 3.1

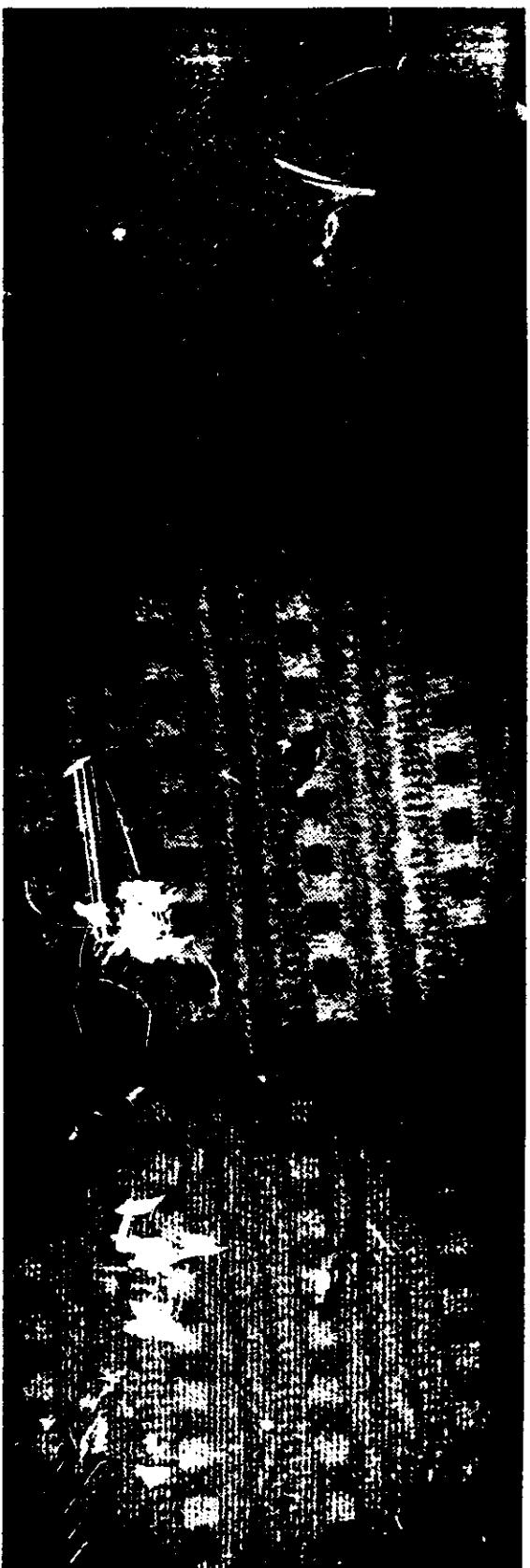
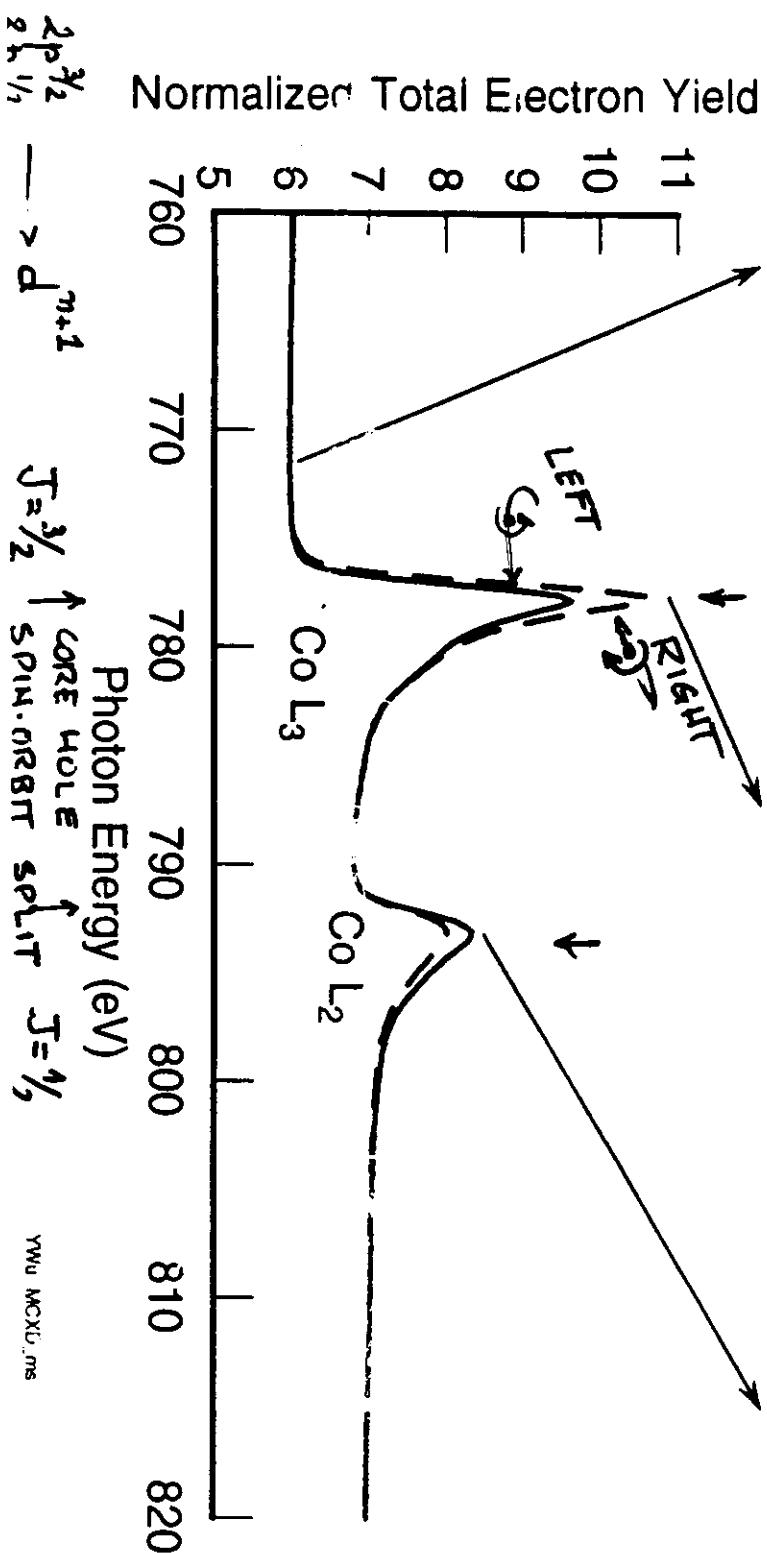


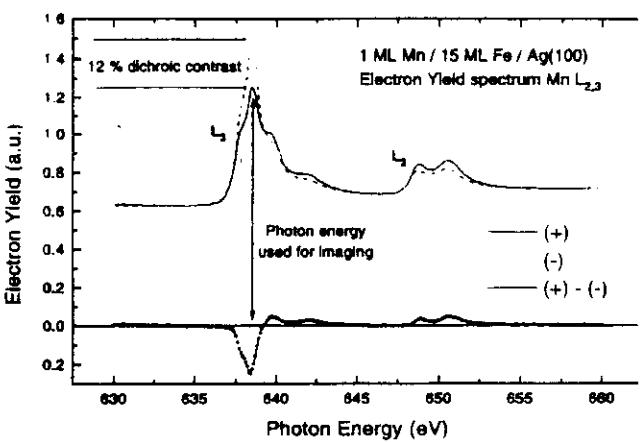
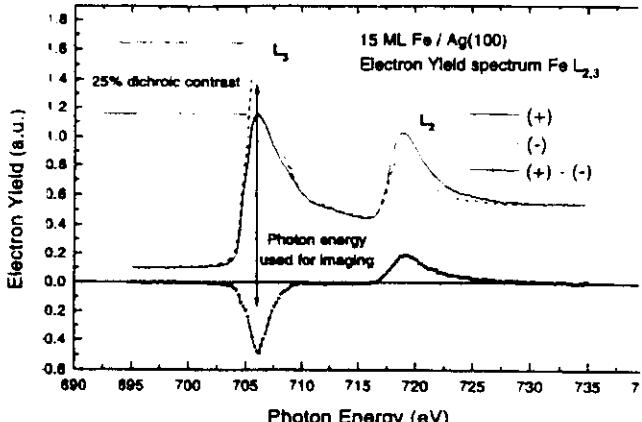
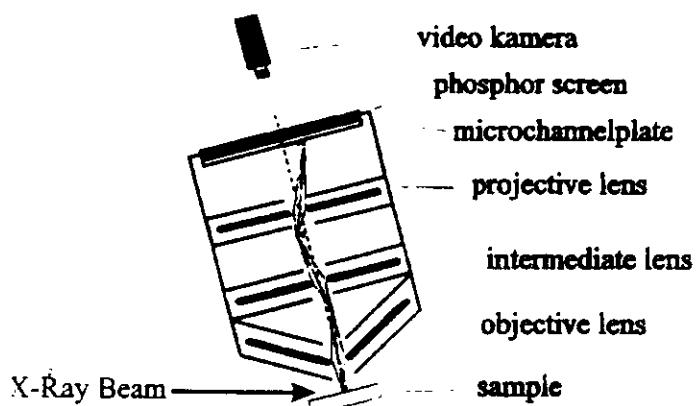
Fig. 2



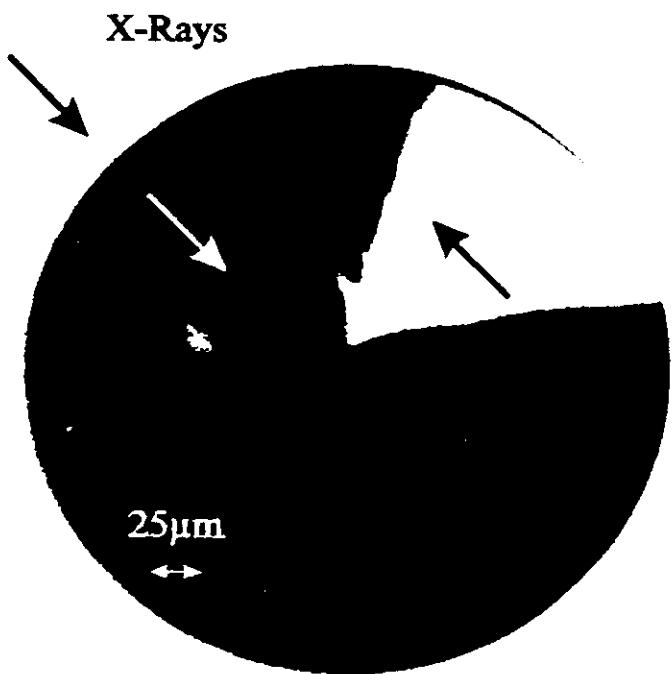
Microscopy of magnetic domains in ultra-thin films by x-ray dichroism

- D. Spanke, J. Dresselhaus, F.U. Hillebrecht, E. Kisker, University of Düsseldorf
- N.B. Brookes, J.B. Goedkoop, ESRF

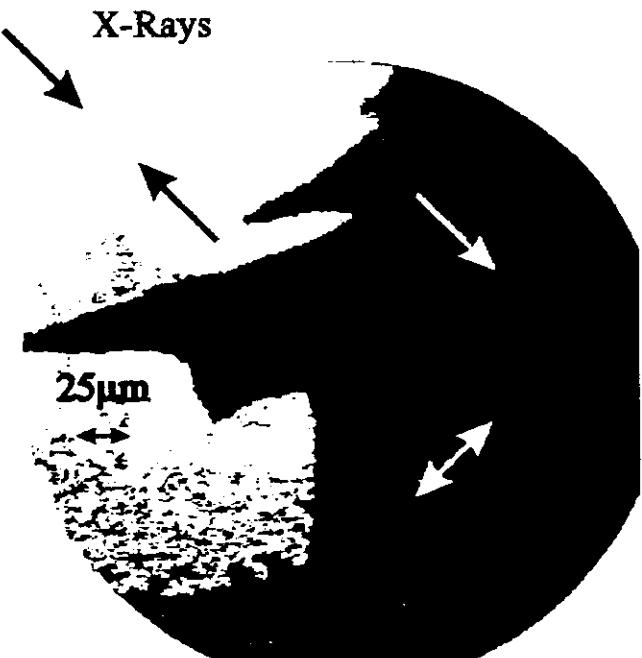
Photo Emission Electron Microscope



15 ML film of Fe on Ag (100)



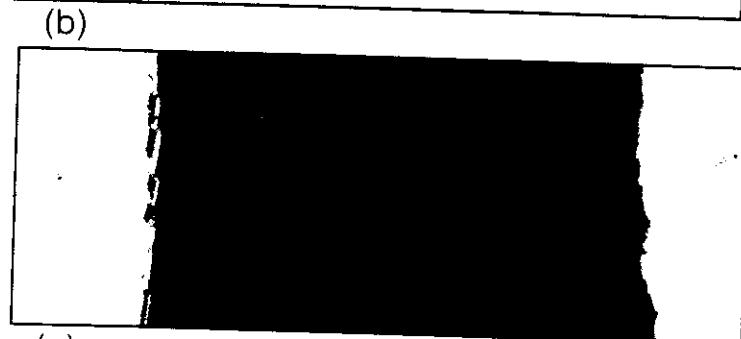
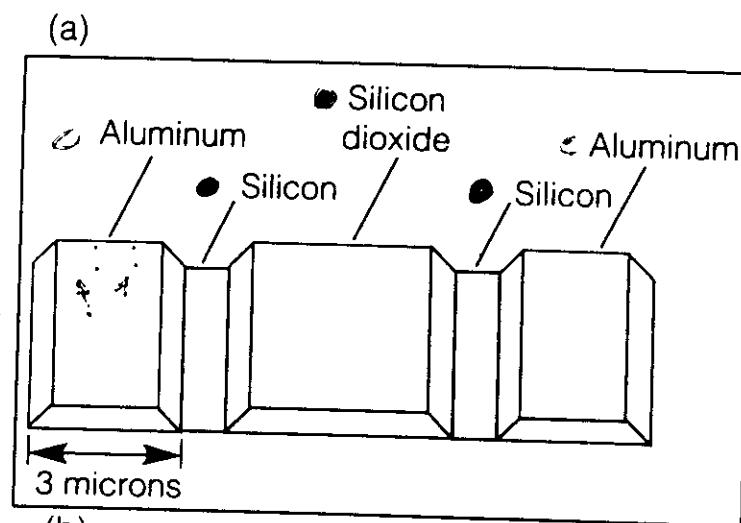
0.5 ML Mn on a 15 ML film of Fe on Ag (100)



1518

38

Spectromicroscopic



ELASTON
SOURCES

energy tunable

(SR)

polarisation tunable

element selectivity

spin sensitivity

monolayer sensitivity

anisotropy sensitivity

valence sensitivity

local environment
probe

i.e

structural
electronic
magnetic

information

