



INTERNATIONAL ATOMIC ENERGY AGENCY
UNITED NATIONS EDUCATIONAL, SCIENTIFIC AND CULTURAL ORGANIZATION



INTERNATIONAL CENTRE FOR THEORETICAL PHYSICS
34100 TRIESTE (ITALY) - P.O.B. 586 - MIRAMARE - STRADA COSTIERA 11 - TELEPHONE: 2340-1
CABLE: CENTRATOM - TELEX 460892 - I

W4.SMR 346/14

SCHOOL ON
NON-ACCELERATOR PHYSICS
25 April - 6 May 1988

EXPERIMENTAL LIMITS

by

T. Gaisner
University of Delaware
U. S. A

^{GRISER} #4. Experimental limits

on γ & ν signals from
point sources with $E_{\gamma, \nu} > \text{TeV}$

$$\text{Signal} = \int \frac{d\text{Flux}_i}{dE} A_i(E) dE \Delta t$$

$i = \nu \text{ or } \gamma$

$$\text{Background} = \int \frac{d\text{C.R.}}{dE d\Omega} A'(E) dE \Delta t \Delta \Omega$$

neutrinos

$$A_\nu = A'_\nu \approx A \cos \theta \sigma_\nu(E) N_{\text{AD}} R_\mu(E_\mu)$$

photons

$$A_\gamma = A \cos \theta P_\gamma \quad A' = A \cos \theta P_{\text{C.R.}}$$

Neutrino signal

- Northern hemisphere

detectors:

Kamioka

IMB

Frejus

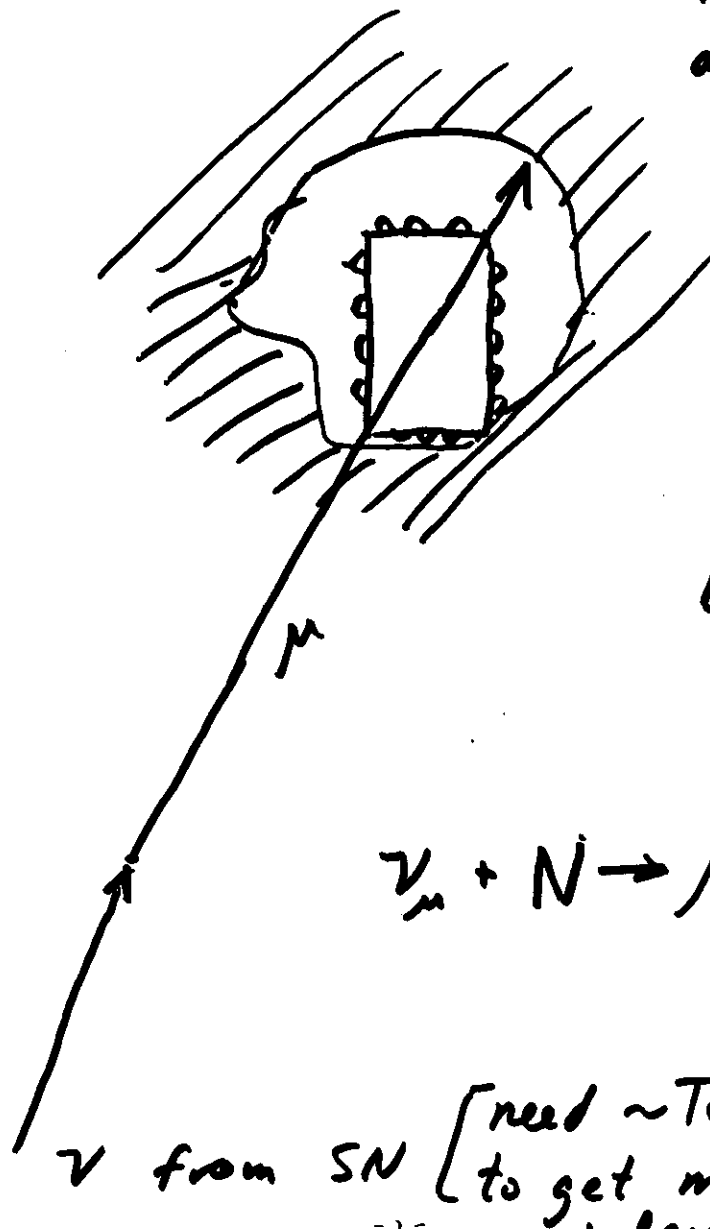
Baksan

Homestake

[Gran Sasso]

[Soudan 2]

⋮



ν from SN [need $\sim \text{TeV } \nu$
to get moon range]

$$\sigma_{\nu/\bar{\nu}} \approx 0.5 \times 10^{-38} \text{ cm}^2 \times E_\nu (\text{GeV})$$

contained" vertices in $V \left(\frac{\text{events}}{\text{kT} \cdot \text{yr}} \right)$

$$V_{\text{kT}} \times 6 \cdot 10^{32} \times 3 \times 10^7 \cdot 0.5 \times 10^{-38} \times \left\{ \int E_\nu \frac{dN_\nu}{dE_\nu} (\text{cm}^{-2} \text{s}^{-1}) dE_\nu \right\}$$

$$= \frac{1}{4\pi R^2} \underbrace{\int E_\nu S_\nu(E_\nu) dE_\nu}_{\text{total power in } \nu + \bar{\nu} \text{ at source}}$$

|| cascading in source $\Rightarrow$

$$\text{Energy} \sim \frac{1}{2} (\gamma + e^\pm), \frac{1}{3} \nu_\mu, \frac{1}{6} \nu_e$$

if all $\pi^\pm + \mu^\pm$ decay.

$$\text{Rate} \sim 5 \times 10^{-42} \left(\frac{10 \text{ kpc}}{R} \right)^2 L \left(\frac{\text{erg}}{\text{s}} \right) \frac{\text{events}}{\text{kT yr}}$$

$$\sim \frac{1}{2} \frac{\text{vertex}}{\text{yr}} \text{ in } 100 \text{ kT for } 10^{39} \frac{\text{erg}}{\text{s}}$$

at 10 kpc. Must use external events.

P_ν = probability, that ν -aimed at detector produces muon through detector.

$$1. E_\nu \lesssim 500 \text{ GeV} \propto E^2$$

$$2. 500 \lesssim E_\nu \lesssim \frac{M_W^2}{2m_\mu} \sim 3600 \propto E$$

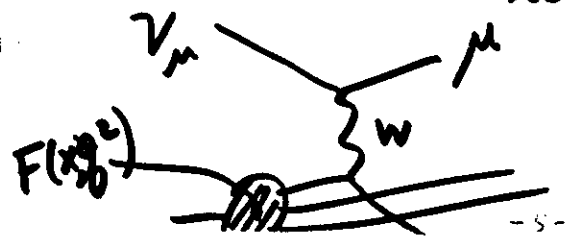
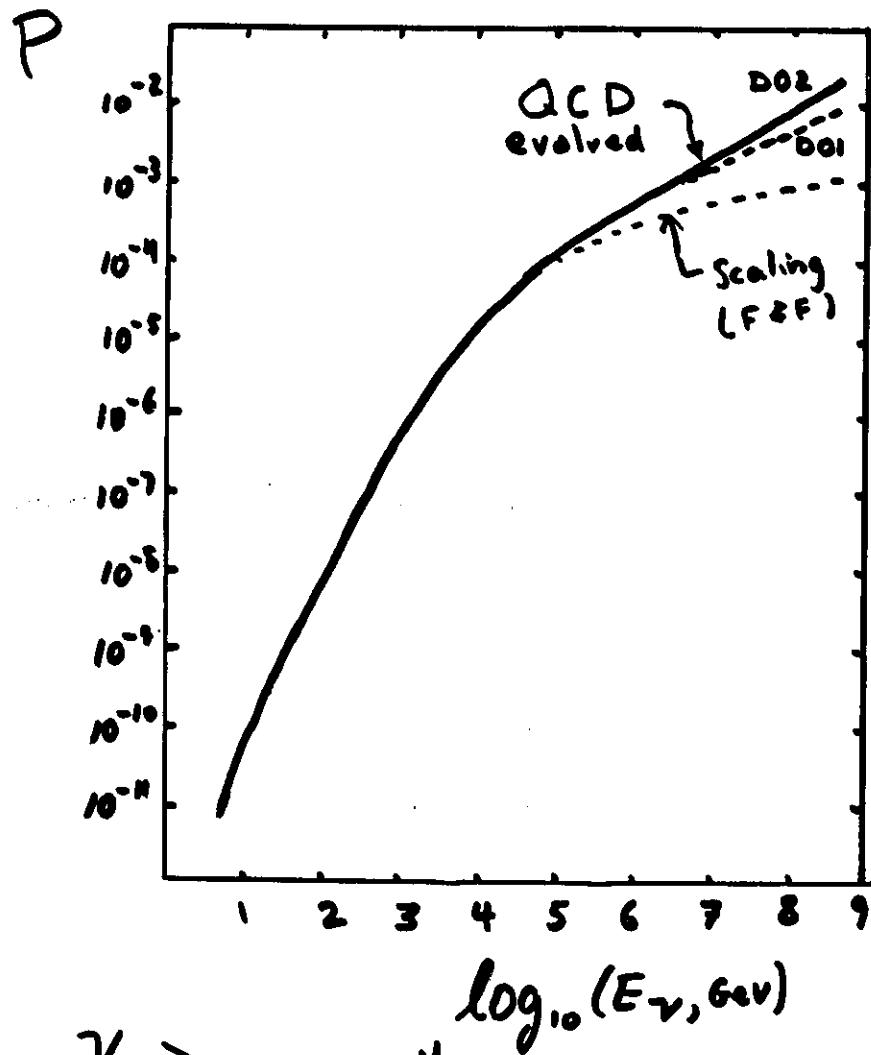
$$3. E_\nu \gg \frac{M_W^2}{2m_\mu} \propto (\ln E)^{\text{power}}$$

$$1. \sigma_\nu \propto E_\nu, R_\mu \propto E_\mu \propto E_\nu$$

$$2. \quad \text{" but } R_\mu \sim 2.5 \text{ km.w.e.} \ln \left(1 + \frac{E_\mu}{510} \right)$$

$$3. \frac{d\sigma_\nu}{dx dy} \propto \frac{1}{\left(1 + 2mE_\nu xy / M_W^2 \right)^2}, \quad \text{"}$$

From TKG + Grillo, Phys. Rev. D36 2752 ('87)
 see also references therein and
 Quigg, Reno, Walker, P.R. ('87)



TKG + Stanev
 PRL 54, 2265 (1985)

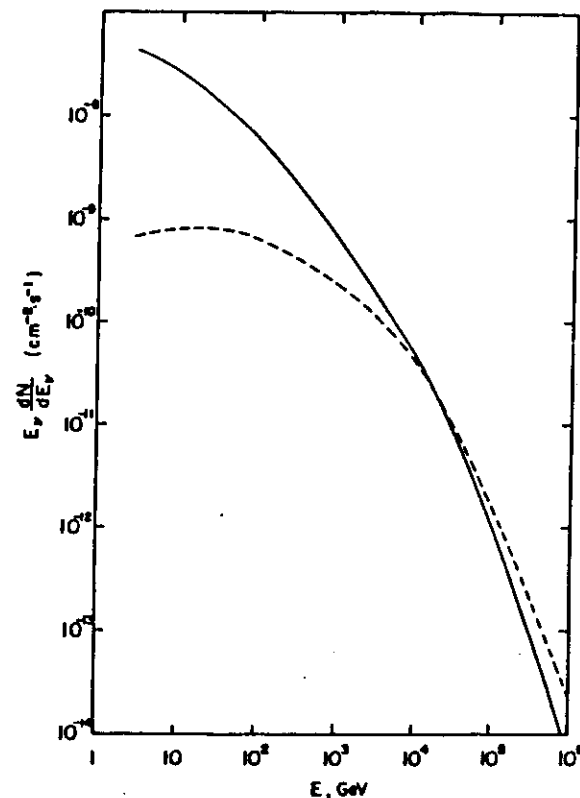


FIG. 1. Neutrino spectra at Earth from a 10^4 -GeV monoenergetic beam (dashed line) and power-law spectrum with slope 2 (full line) for the density profile of Table I averaged over one period.

for $L_p = 10^{39} \text{ erg/s}$
 at 10 kpc

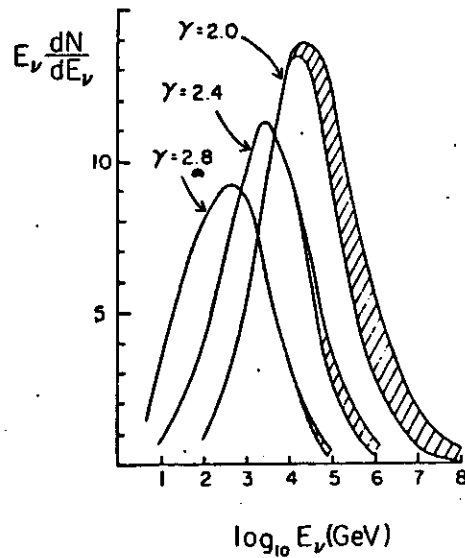


FIG. 3. Distribution of primary neutrino energies that give rise to upward muons with $E_\mu > 2$ GeV at the detector for power-law neutrino spectra with differential index $\gamma = 2.0, 2.4, 2.8$. The shaded region shows the difference between scaling and QCD-evolved structure functions.

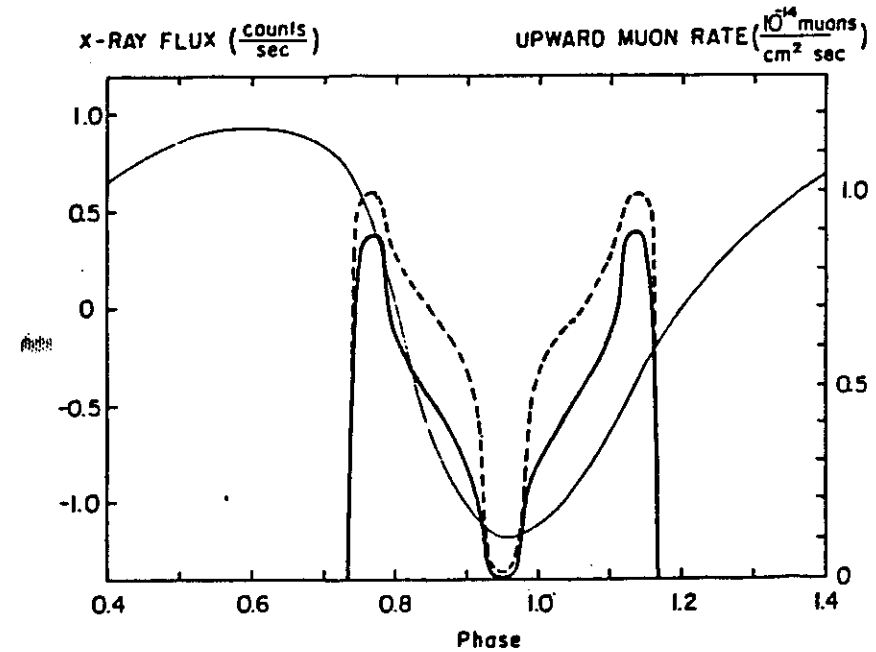


FIG. 2. Phase dependence of upward muons from Cygnus X-3 neutrinos: 10^8 -GeV beam, solid curve; power-law spectrum, dashed curve. The thin line shows the light curve in x rays.

$$\sim 1 \uparrow \nu_\mu \rightarrow \mu / 1000 \text{ m}^2 / \text{yr.}$$

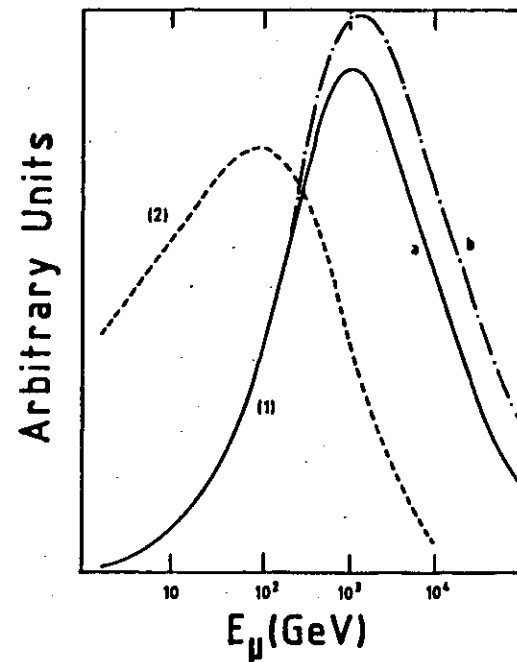
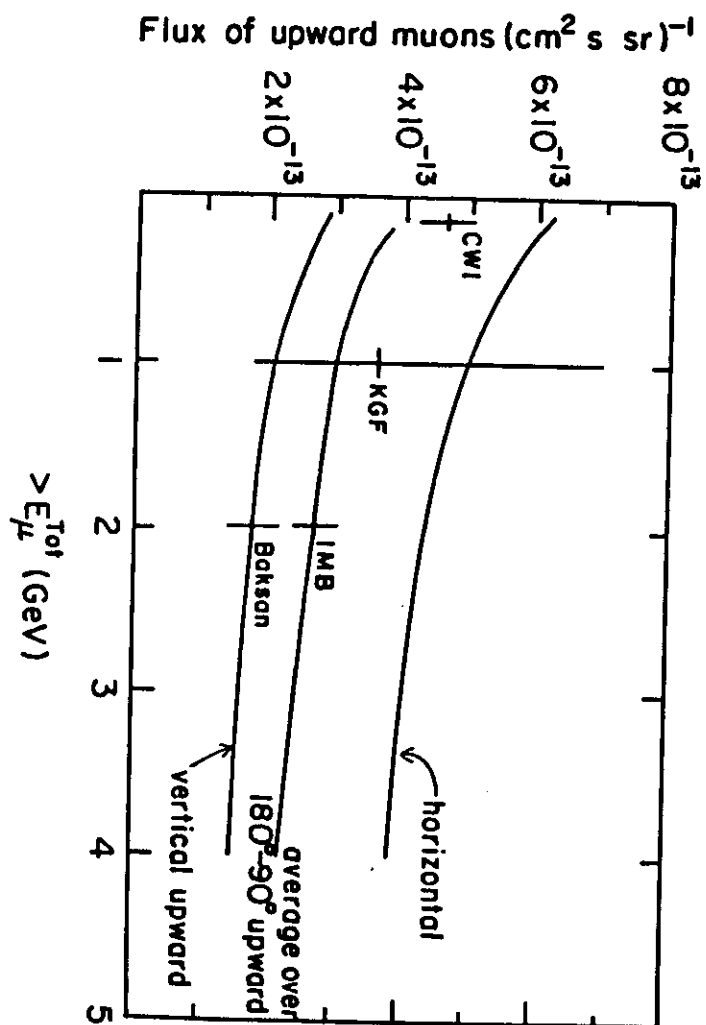


FIG. 4. Muon distribution $(dN_\mu/d \ln E_\mu)$ at the detector for neutrino spectrum $dN/dE_\nu \propto E_\nu^{-\gamma}$. (a) and (b) as above. (1) $\gamma=2$, (2) $\gamma=2.8$. Note that below $\gamma=2.6$ (a) and (b) are practically the same.

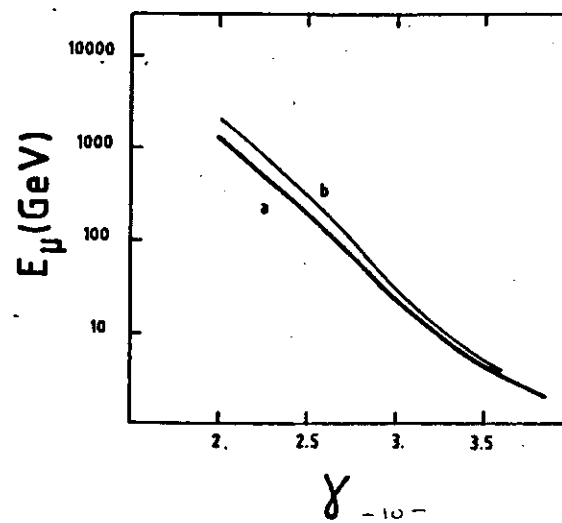


FIG. 5. Muon energy at the detector as a function of gamma.

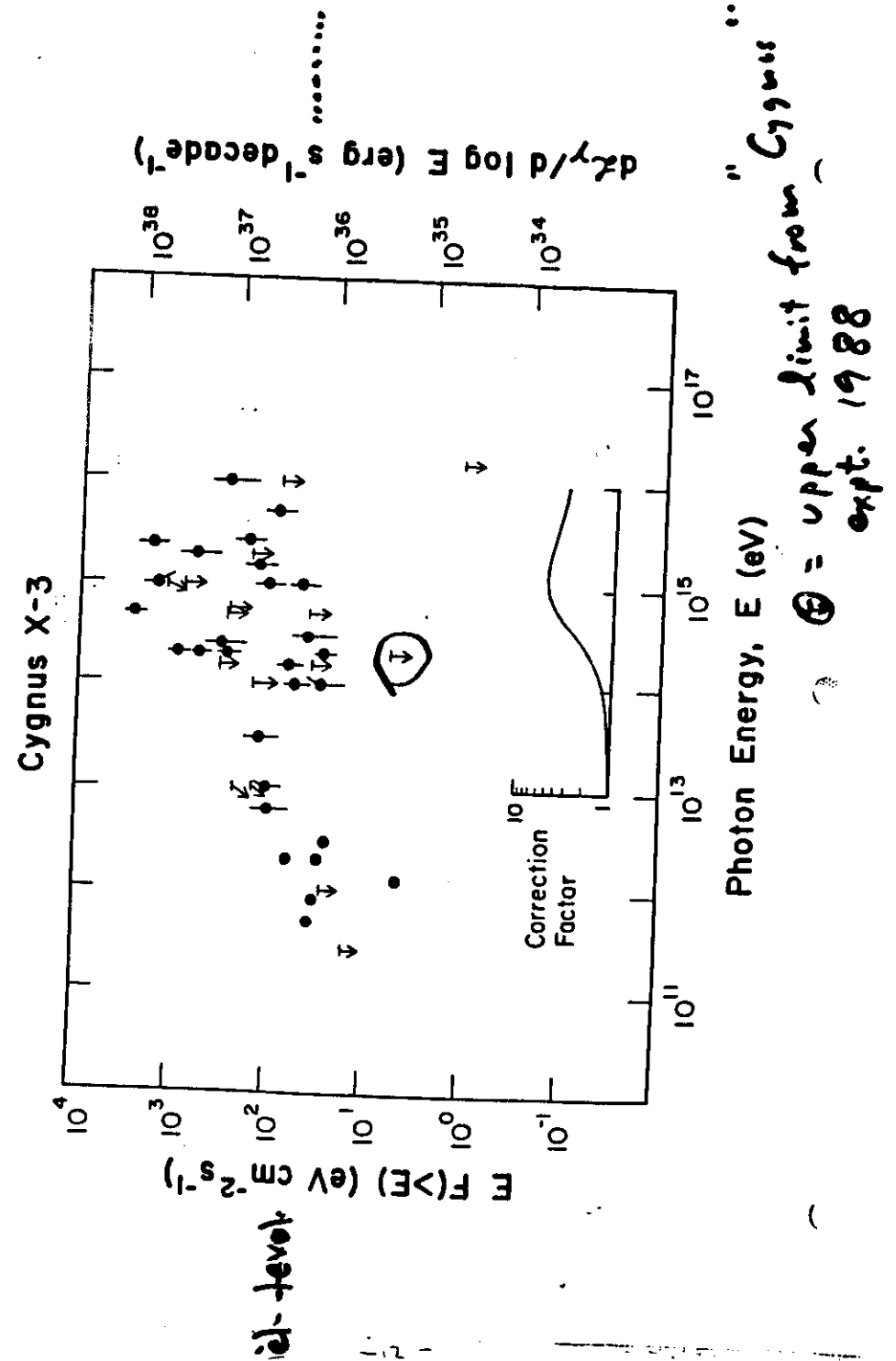
Now consider photons

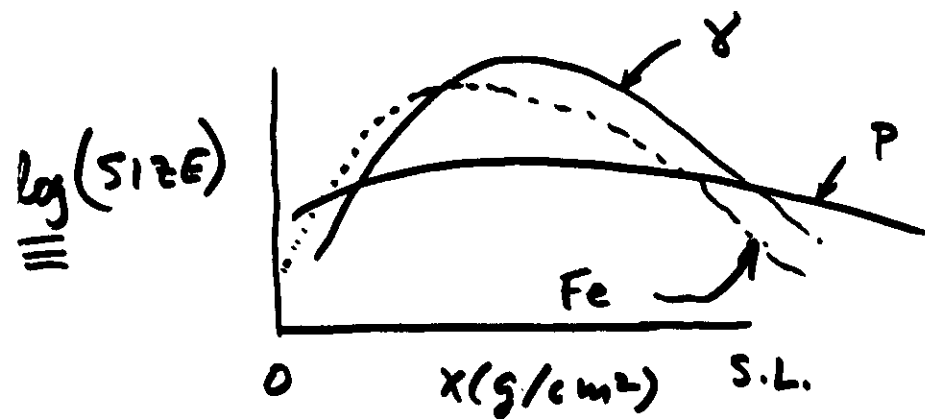
- All photons interact in atmosphere but only energetic ones give shower that penetrates to surface.
- A very energetic photon can trigger the array even if core is outside.
- $P_Y^{(E)} =$ probability that photon of energy E triggers array
- $P_Y(E) \neq P_p(E)$

For separate parametrizations of

γ & p cascades see

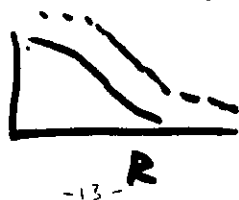
E.J. Fenyves et al. PR D37, 649 (1988)





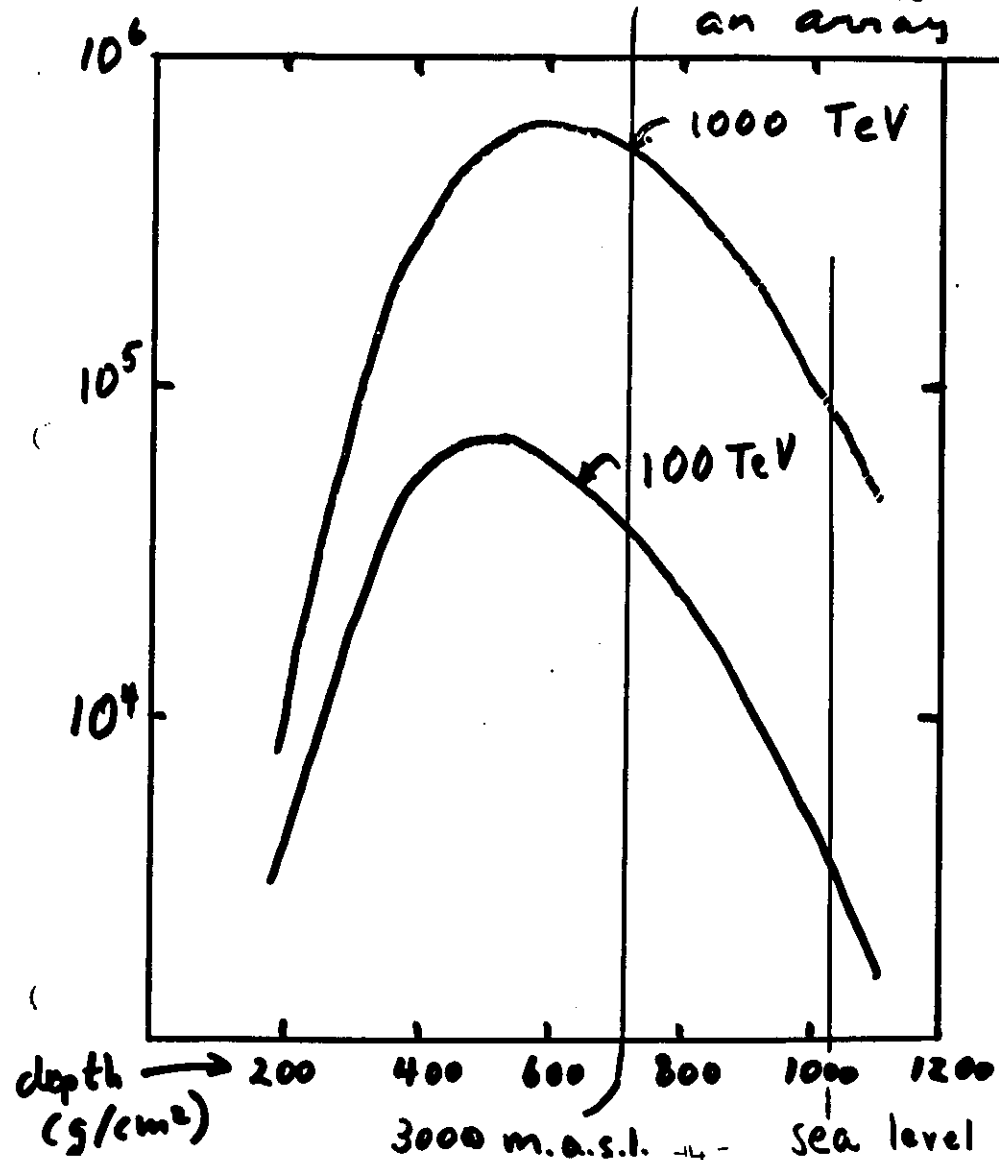
TKG + R.J. Protheroe (in preparation)
 simple simulation based on Fenyves et al.
 to study + compare trigger efficiency
 for different arrays on a standard
 basis. Normalize to C.R. showers
 then calculate $P_T(E)$.
 → Fluctuations crucial (Navarra)

Lateral distribution (Navarra)



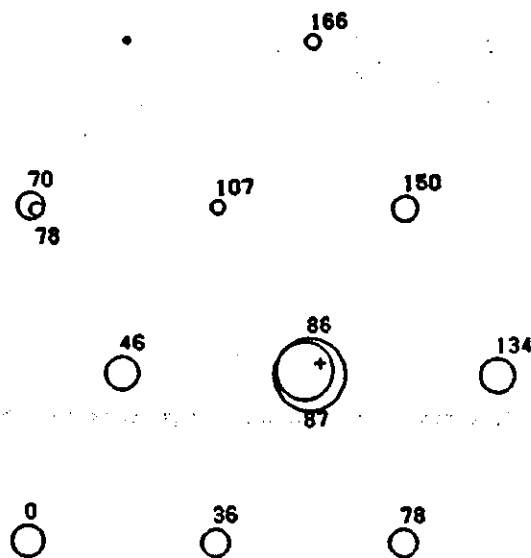
mean # particles vs. depth for
 photon air showers

Note importance of
 fluctuations in triggering
 an array



South Pole Air Shower Expt.

RMR = 149792.20867



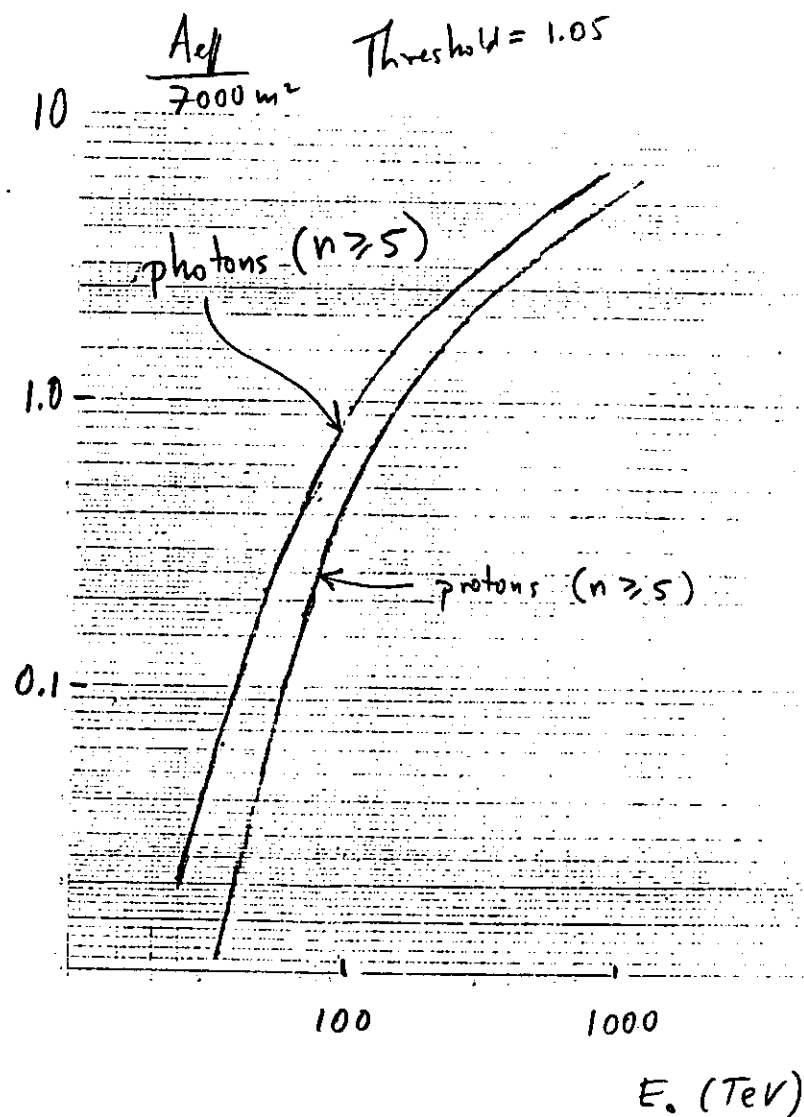
BARTOL THETA 34.0 PHI 224.1 CHI² 0.2
S. POLE THETA 35.7 PHI 224.5

Leeds / Bartol
Alan WATSON,
Nigel Smith
et al.
MA Pomerantz
Jay Perrett
et al.

$\theta = 21^\circ$

8 April 88

Fig. 1



29 March 88 $\theta = 1.3$ 8 April, $\theta = 1.05$

TRIGGER N25

proton showers

$\theta = 21^\circ$

$$10^{10} \frac{\text{Au}}{7000 \text{ m}^2} \frac{E \text{ dN}}{dE d\Omega} \text{ (cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1})$$

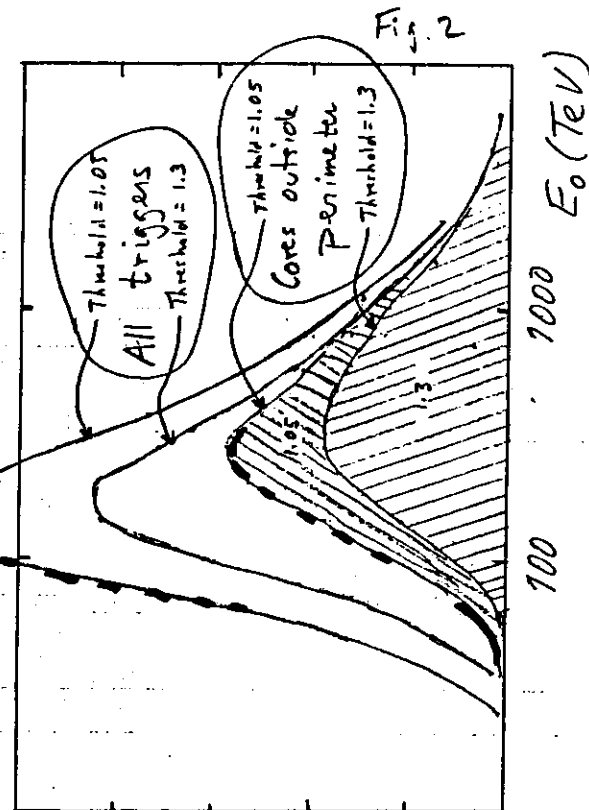
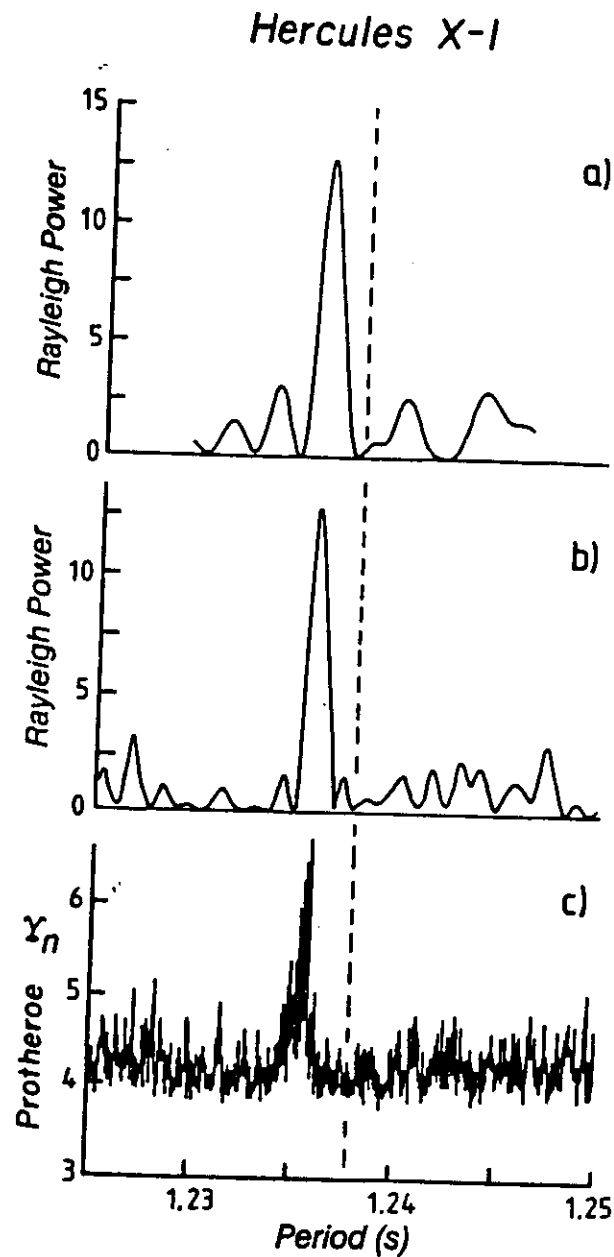


Fig. 2



Muon problem!

see Yodh et al. 1988

expect

$$\frac{(N_\mu/N_e)_\gamma}{(N_\mu/N_e)_{c.R.}} < 10\%$$

but Her X-1 showers
have this ratio ~ 1 ??

*
Producing exotic particles
is energetically
expensive

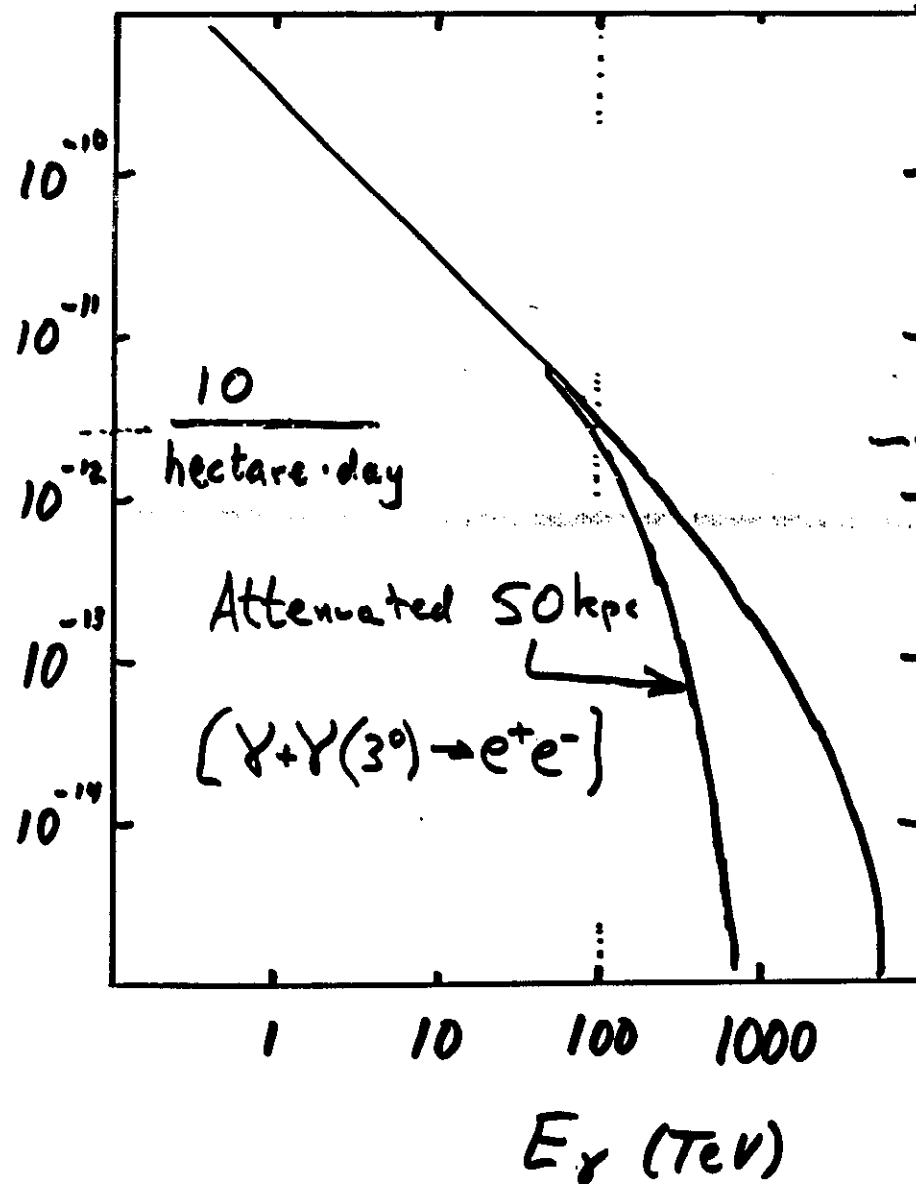
* many calculations. see e.g.

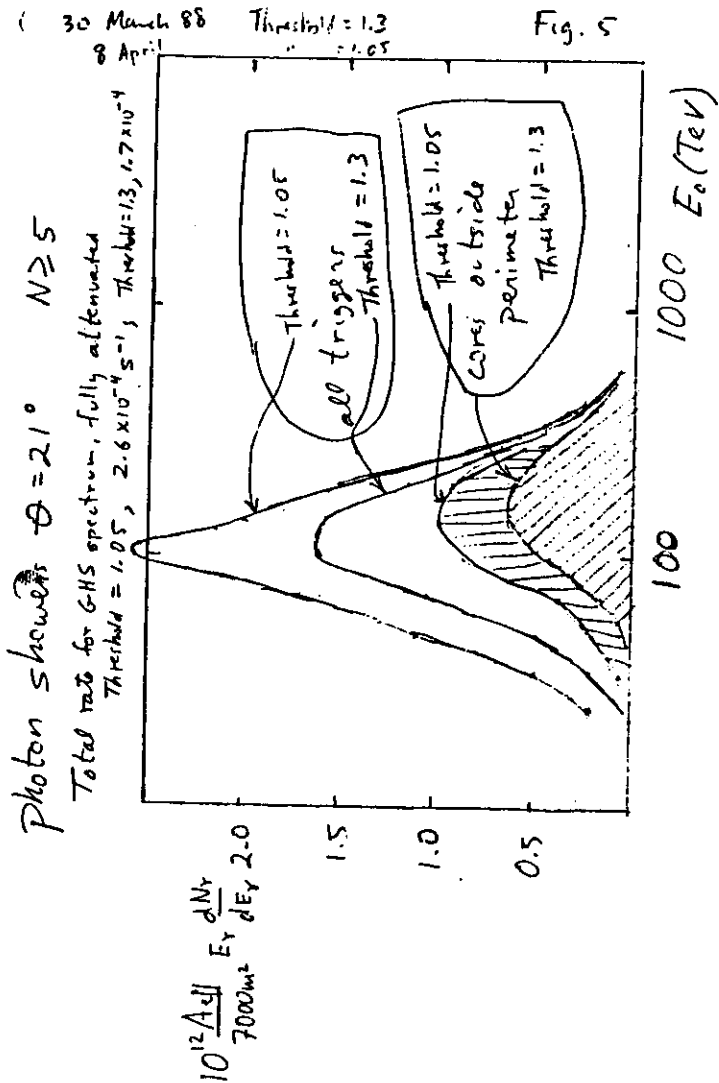
T. Stanev & Ch. P. Vankov

Phys. Lett. 158B, 75 (85)

T. Stanev PR D33, 2740 (1986)

TRG, Harding
& Stanev
 $L_p = 10^{40}$ erg





SPASE PRELIMINARY Fold Flux with Acceptance

to get expected signal
(for a particular model flux)

For G.H.S. $\gamma=2$ $L_p = 10^{40} \frac{\text{e}}{\text{s}}$

expect $1.3 \times 10^{-4} \frac{\text{events}}{\text{s}}$ inside

Exposure = $4.5 \times 10^5 \text{ s}$ (~ 5 days)

$\Rightarrow 59$ events for $3^\circ \times 3^\circ$

95% C.L. upper limit = 76

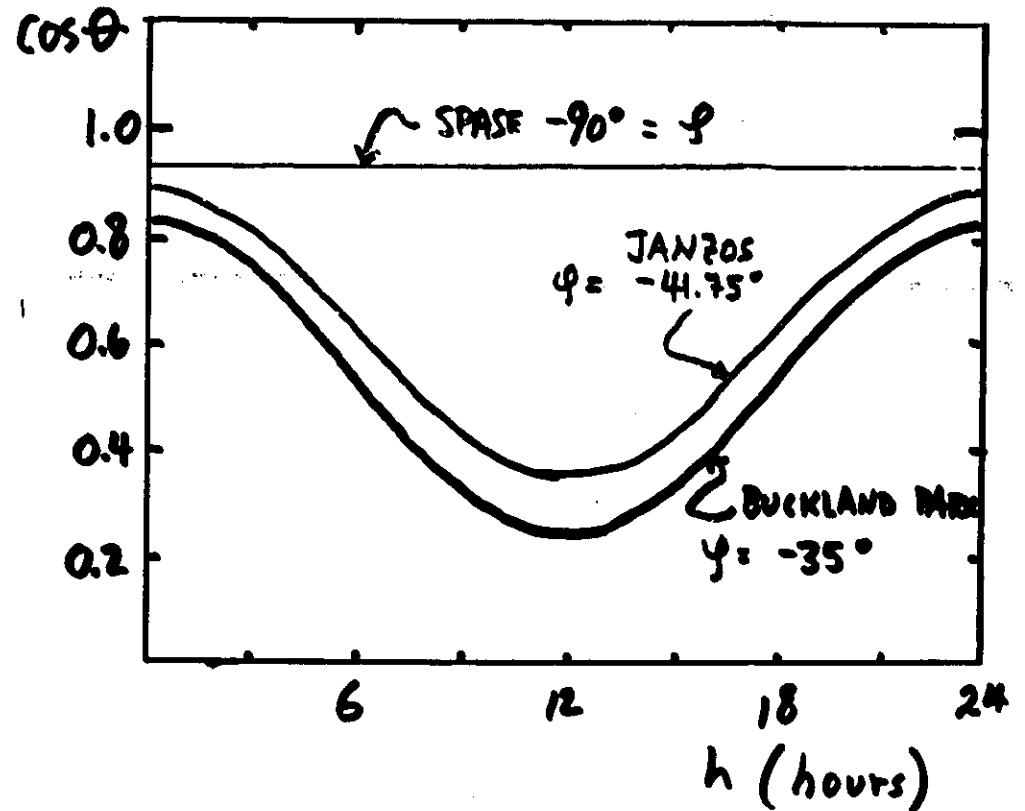
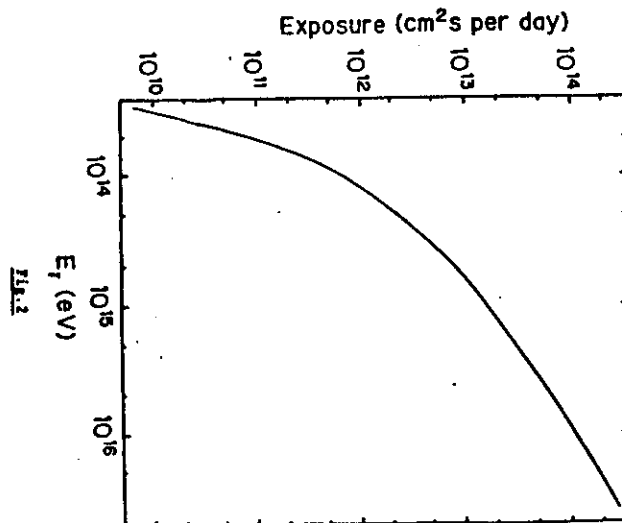
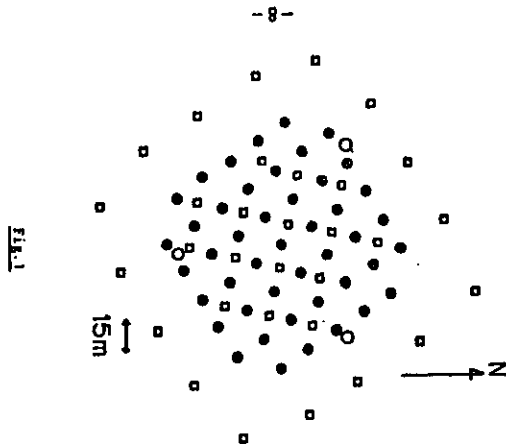
$$\therefore L_p < \left(\frac{76}{59} \right) 10^{40} \sim 1.3 \times 10^{40} \frac{\text{e}}{\text{s}}$$

Zenith angle (θ) of SN1987A ($\delta = -69^\circ$)

from various latitudes φ

$$\cos \theta = \sin \delta \sin \varphi + \cos \delta \cos \varphi \cos h$$

JANZOS

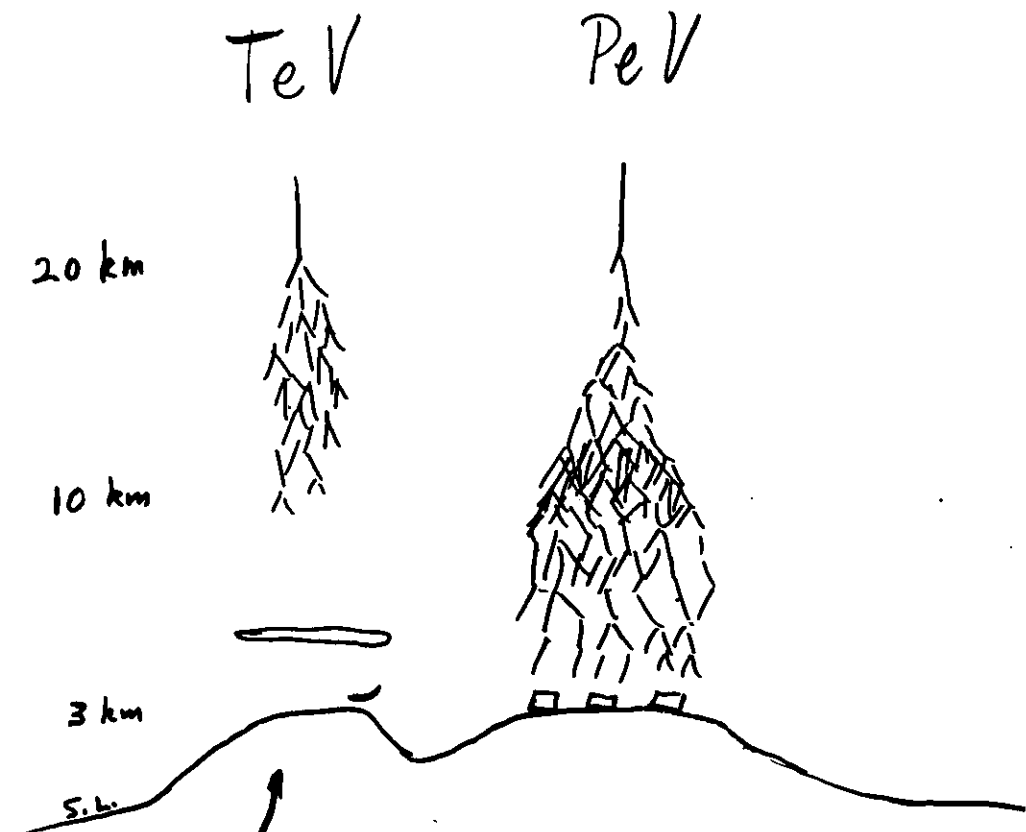


Summary of limits

Potchetstroom 20, 21, 25, 26 Nov.	$< 10^{39} \quad \gamma=2$ $F_{\gamma}(> \text{TeV}) < 2 \cdot 10^{-11}$
Buckland Park 23 Feb - 30 Aug.	$< 10^{41} \quad \gamma=2$ ($\geq 200 \text{ TeV}$)
JANZOS 13 Oct - 3 Dec	$< 5 \cdot 10^{39} \quad \gamma=2$ $F_{\gamma}(> 100) < 1.1 \cdot 10^{-12}$
SPASE (Prelim.) 6-10 Feb '88	$< 1.3 \cdot 10^{40} \quad \gamma=2$ $F_{\gamma}(\geq 50) < 3 \cdot 10^{-12}$

Air Cherenkov

Extensive Air Showers



see Lamb & Weekes, Science, 238
1983 (1987)

PeV too high to be electron-induced

must be $p + \text{matter} \rightarrow \pi^0 + \dots$
 $\hookrightarrow \gamma$

$\dots$ includes $\pi^{\pm} \hookrightarrow \gamma$

Time dependence of signal

$$t_1: \lambda_R = \rho(t_1) v t_1$$

($t_1 = 0$ for v 's)

$$t_2: \text{Confined} \quad (\text{Benjamin et al.} + \text{This model})$$

$$\frac{1}{t_2} = \rho(t_2) N_A \sigma c$$

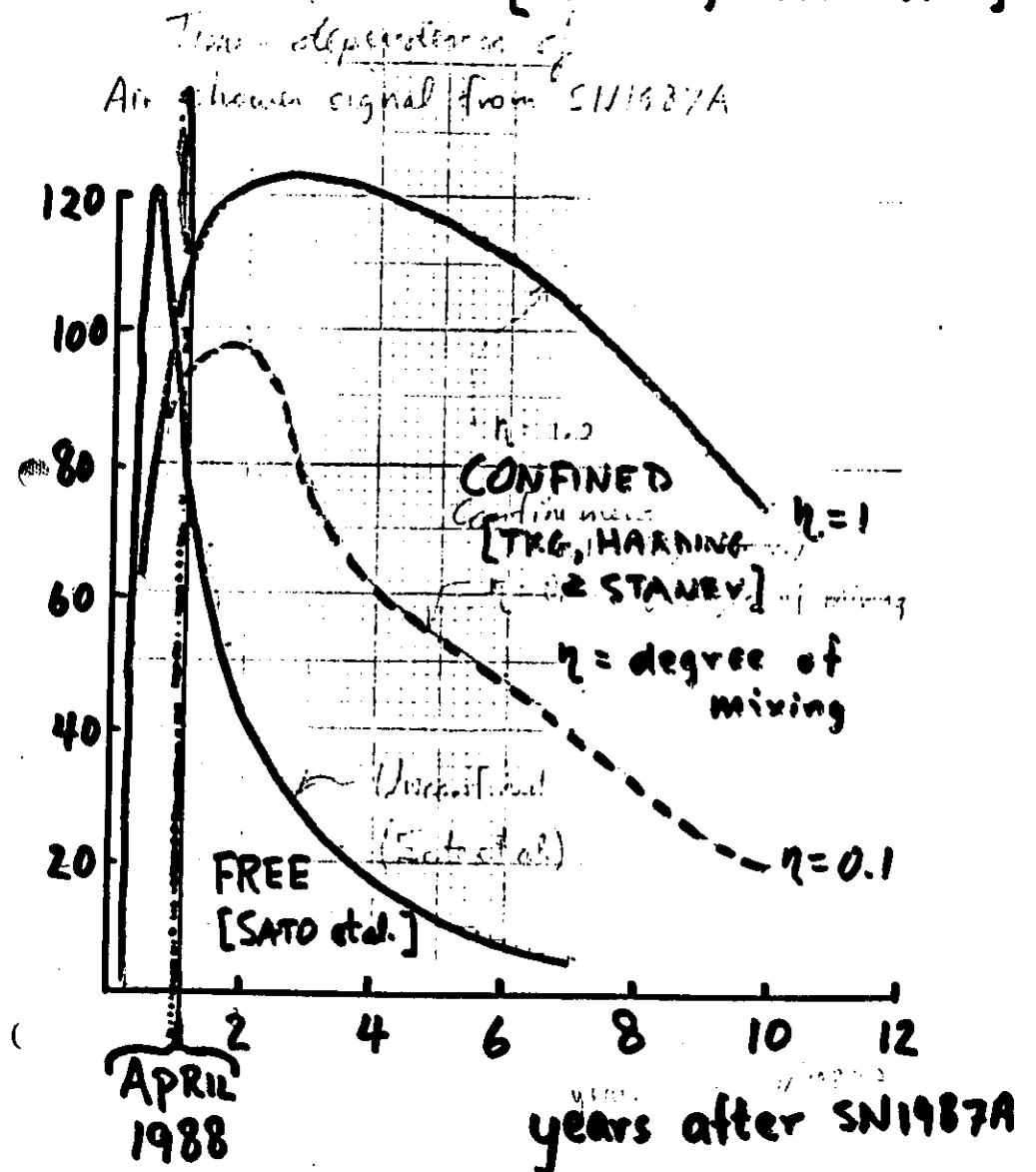
Expansion rate = interaction rate

$$t_2: \text{Free} \quad (\text{Sato et al.})$$

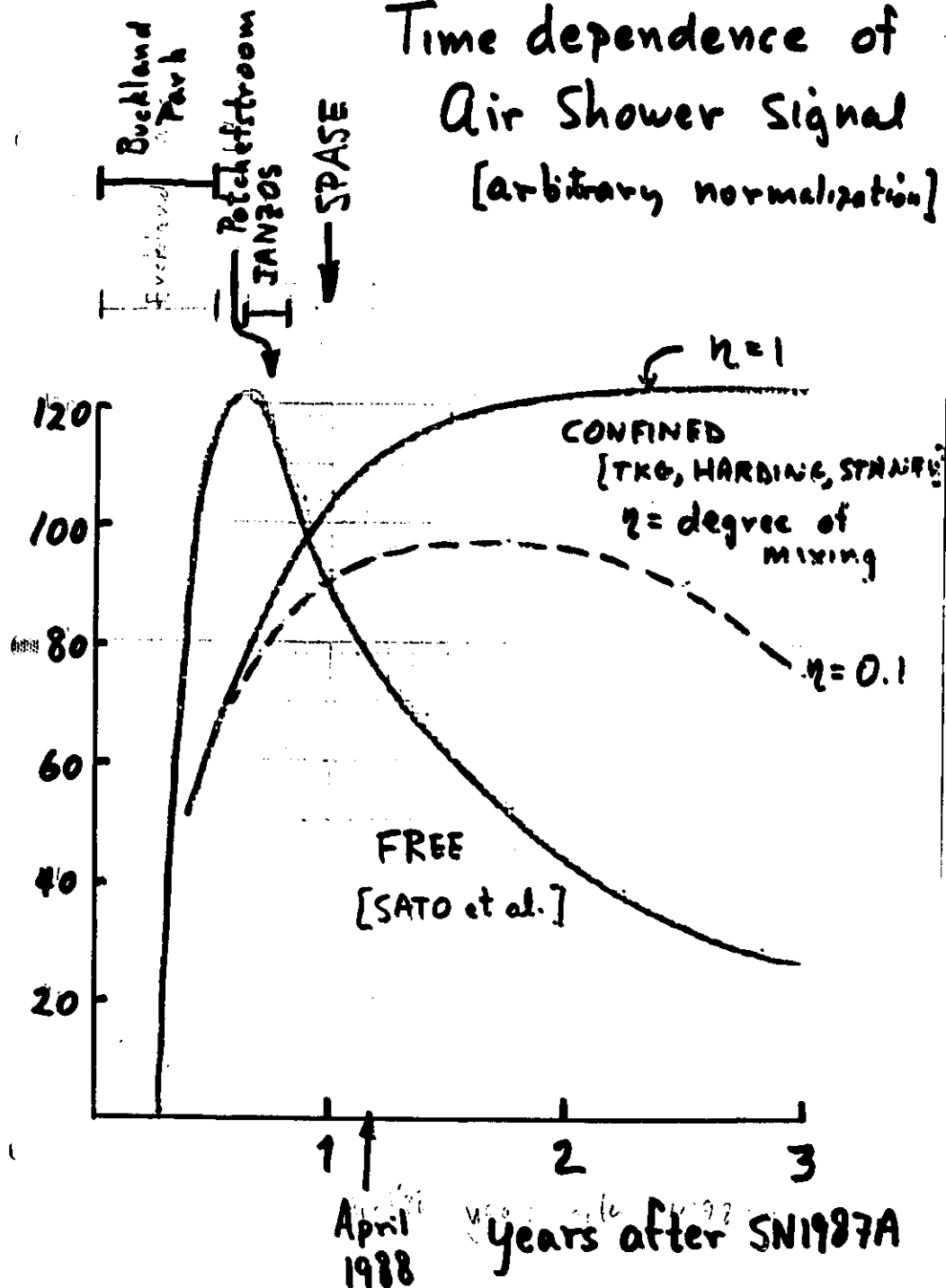
$$\lambda_{int} \gg \rho(t_2) v t_2$$

Time dependence of Air Shower Signal

[arbitrary normalization]



Time dependence of Air Shower Signal [arbitrary normalization]



TKG, Stanev, PRL (1987)

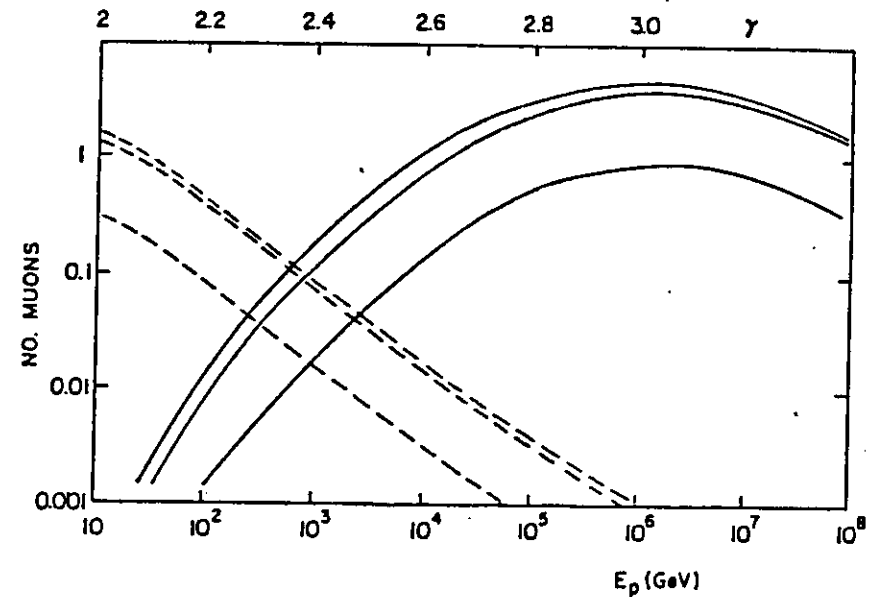


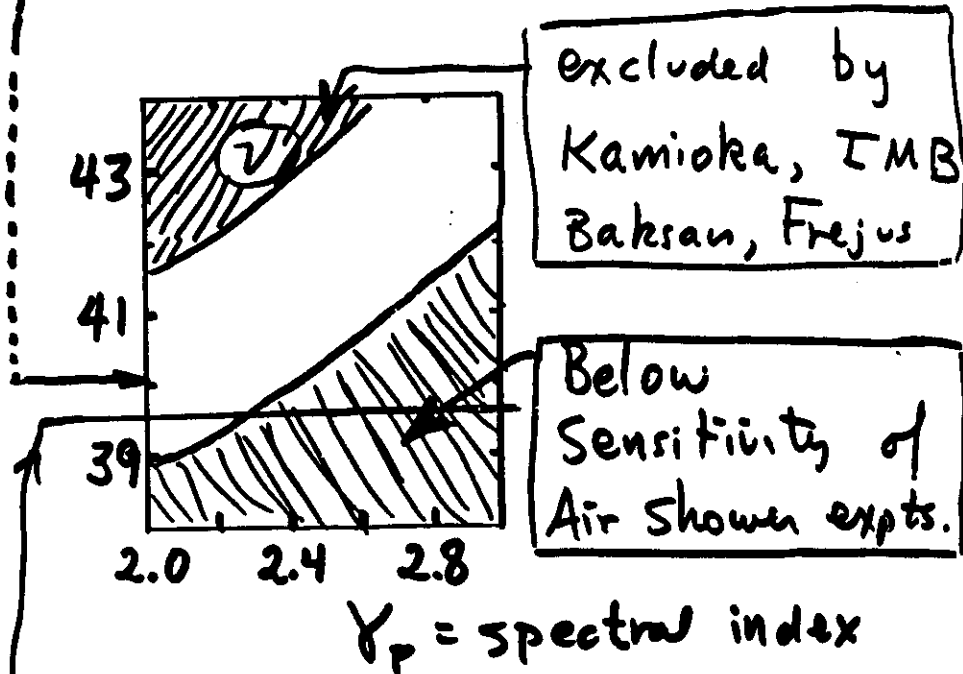
FIG. 1. Number of neutrino-induced muons per week in a detector of 100-m² area as a function of the parent proton spectrum. Solid lines and bottom axis refer to monoenergetic proton beams. Dashed lines and top axis refer to power-law spectra with differential index γ . In both cases the top curve is for a path length of 1000 g/cm², the middle curve for 100 g/cm², and the bottom one for 10 g/cm². All proton spectra are normalized to 10^{43} ergs/sec at 50 kpc. For power-law spectra this is the total power in protons with energies between 1 and 10^8 GeV.

See also Auricenna, TKG & Lipari (88)
for analytic estimates of ν -flux.

Summary

• Note optical limit on L_p

• Note limits depend on γ_p



Bandiera, Pacini, Salvati
(Nature 332, 418 '88)

explain low energy X-rays
with $3 \cdot 10^{39} \frac{\text{erg}}{\text{s}}$ pulsar

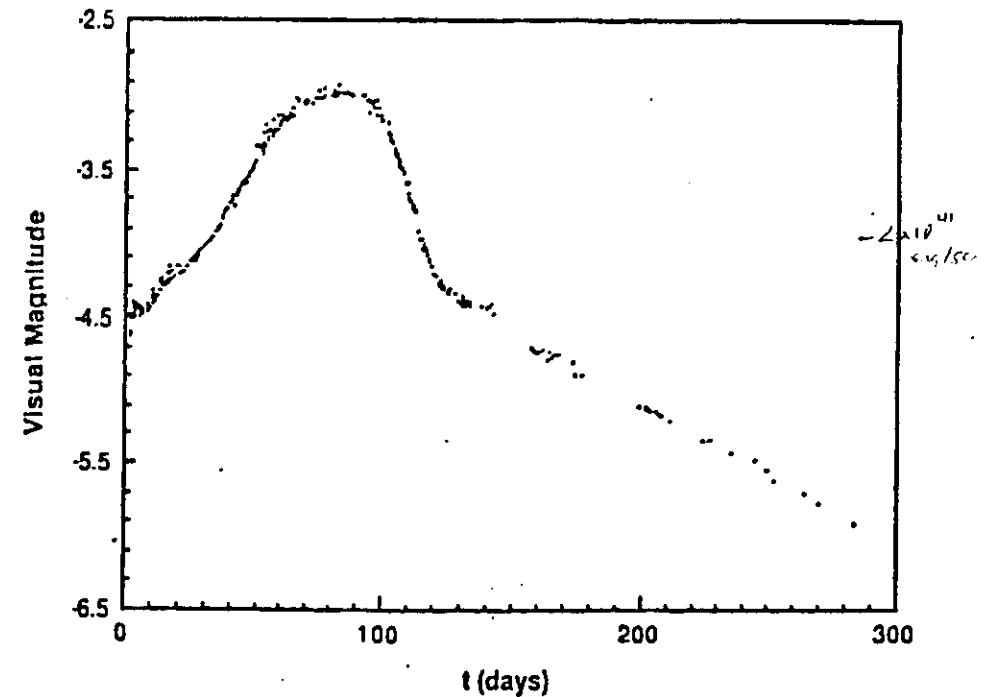


Fig 5.1 The visual light curve for the first 300 days of SN 1987A. This shows the relatively slow and steady climb up to the plateau-like maximum, followed by the relatively rapid decline to the extended radioactively - powered exponential tail.

M. Dopita, Space Sci Revs.

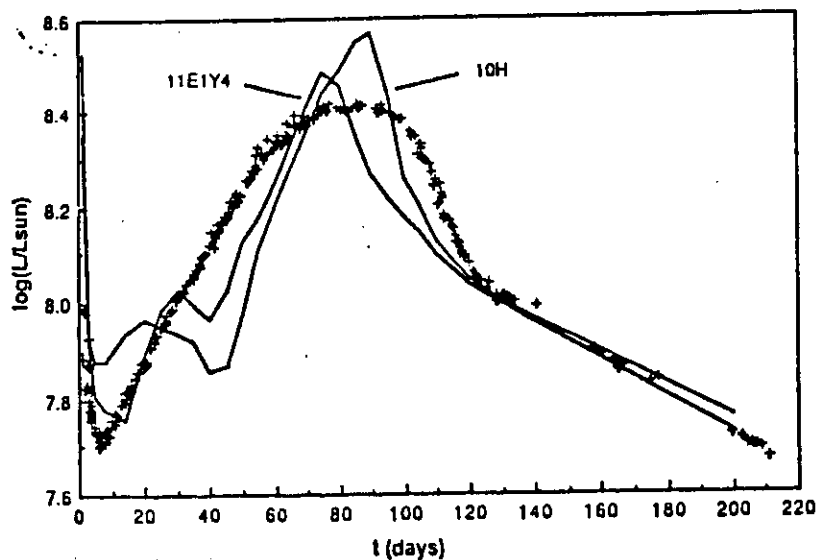


Fig 7.2 A comparison of the observed light curve with two representative theoretical light curves from the literature. The curve marked 10H is from Woosley (1987) and has an envelope mass of $10 M_{\odot}$ with an explosion K.E. of 1.4×10^{51} ergs. The model marked 11E1Y4 is from Nomoto, Shigeyama and Hashimoto, and has an envelope mass of $6.7 M_{\odot}$ and an explosion energy of 10^{51} ergs. The differences between the models and observations will probably reduce with a better treatment of opacity, of the recombination wave and of mixing of the radioactive Ni. M. Dopita, Space Sci Rev.

c. The Radioactive Tail.

The opacity of the core is determined by electron scattering. As oxygen and neon, the most abundant heavy elements contained in the core recombine, the opacity declines precipitately and the diffusion timescale rapidly decreases (Schaeffer, Cassé and Cahen, 1987; Shaeffer *et al.* 1987). This allows the stored heat energy to drain away. As the temperature falls, the recombination becomes still more rapid. Thus the core rapidly transforms itself from a condition in which the diffusion timescale is much longer than the dynamical timescale, to a condition in which the reverse is true. The luminosity in this latter phase can be set equal to the rate of energy generation in radioactivity (Weaver, Axelrod and Woosley, 1980):

SUMMARY #4

- Threshold (efficiency) functions for ν & γ
- ν_{μ} -induced upward μ signals
- calculation of flux for an air shower expt.
- [• underground multiple muons + primary composition]
- muon problem
- Limits on γ & ν signals from SN 1987A