



INTERNATIONAL ATOMIC ENERGY AGENCY
UNITED NATIONS EDUCATIONAL, SCIENTIFIC AND CULTURAL ORGANIZATION



INTERNATIONAL CENTRE FOR THEORETICAL PHYSICS
34100 TRIESTE (ITALY) - P.O. B. 586 - MIRAMARE - STRADA COSTIERA 11 - TELEPHONE: 2340-1
CABLE: CENTRATOM - TELEX 460392 - I

H4.SMR 346/30

SCHOOL ON
NON-ACCELERATOR PHYSICS
25 April - 6 May 1988

SOLAR NEUTRINOS, NEUTRINO OSCILLATIONS

by

G. Gelmini
S. I. S. S. A.
Trieste

DETECTION OF HEAVY ($m \gtrsim 0(\text{GeV})$) GALACTIC

DARK MATTER:

(Graciela Gelmini
TRIESTE - MAY 1988)

1. Elementary particle candidates (why $m \gtrsim 0(\text{GeV})$)
 ν , L.S.P., "solar cosmions"

2. Could we detect the D.M. of our galactic halo?

FOR HEAVY CANDIDATES: (I) INDIRECT DETECTION
(brief)

(II) DIRECT DETECTION

3. 1st BOUNDS FROM (II): using the Ge-detector of the
USC/PNL collab.

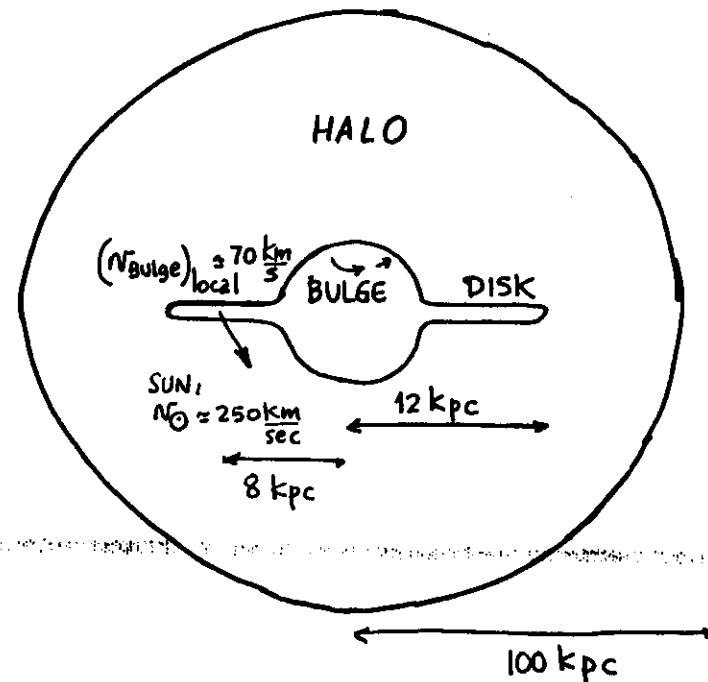
(the LBL/USB collab. has
now the same results)

4. brief parenthesis: BOUNDS ON SOLAR AXIONS
(and other Nambu Goldstone Bosons) FROM THE SAME
DETECTOR (through the "axioelectric" effect)

852

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OUR GALAXY:



$$(\rho_{\text{HALO}})_{\text{local}} \approx 0.4 \frac{\text{GeV}}{\text{cm}^3} \quad (\text{factor of 2 uncertainty})$$

$$(N_{\text{halo}})_{\text{r.m.s}} = 250 \frac{\text{km}}{\text{sec}}, \quad (N_{\text{halo}})_{\text{ESCAPE}} = N_{\text{r.m.s}} \times 2$$

WHAT IS IN THE DARK HALO?

- USUAL NUCLEONS ("JUPITERS", BLACK HOLES)?
Possible but unlikely
- NEW D.M. PARTICLES? γ , axions, L.S.P. ($\tilde{\nu}, \tilde{\nu} \dots$)

"STANDARD" D.M. CANDIDATES PROVIDED BY ELEMENTARY PARTICLES:

(NON BARYONIC!)

HOT D.M. : light neutrinos : $m \approx 30 \text{ eV}$

COSMOLOGICAL ABUNDANCE OF LIGHT PARTICLES : $\rho = n m < \rho_c$
 $\Rightarrow m < \infty$

weak interactions $\Rightarrow m_\nu \lesssim 30 \text{ eV}$

COLD D.M.

axions : very light but "cold" ($p=0$) , $m_a \times 10^{-5} \text{ eV}$

heavy particles : $m \approx \text{GeV}$

COSMOLOGICAL ABUNDANCE OF HEAVY PARTICLES : $\rho \sim e^{-\frac{m}{T_F}} < \rho_c$
 $\Rightarrow m > \infty$

weak interactions $\Rightarrow m > \text{few GeV}$

- Heavy Dirac or Majorana neutrinos

- The Lightest Supersymmetric Particle : $\tilde{\gamma}$ (photino)
 $\tilde{\nu}$ (sneutrino)

IF THEY ARE THE D.M. THEY ARE PASSING THROUGH US
NOW! MAY WE DETECT THEM!

Cosmological abundance

- light particles : $\rho_x = n_x m_x \lesssim \rho_c \Omega_x \Rightarrow m_x < \infty$

weak int. $\Rightarrow m_{\text{light } \nu} \lesssim 30 \text{ eV}$ for $\Omega_x \approx 1$

- heavy particles : $\rho_x = n_x m_x e^{-\frac{m_x}{T_F}} < \rho_c \Omega_x \Rightarrow m_x > \infty$

weak int. $\Rightarrow m_{\text{heavy } \nu} \gtrsim \text{few GeV}$

EXAMPLES:

	$\Omega \leq 0.1$	$\Omega \leq 1$
HEAVY DIRAC NEUTRINOS	$m \gtrsim 5-15 \text{ GeV}$	$m \gtrsim 2-4 \text{ GeV}$
" MAJORANA "	$m_\nu \gtrsim 15-150 \text{ GeV}$	$m \gtrsim 7-13 \text{ GeV}$
L. S. P :		
$\tilde{\gamma}$	$m_{\tilde{\gamma}} = 40 \text{ GeV} \rightarrow m > 3 \text{ GeV}$ $m_{\tilde{\gamma}} = 100 \text{ GeV} \rightarrow m > 15 \text{ GeV}$	$m \gtrsim 2 \text{ GeV}$ $m \gtrsim 5 \text{ GeV}$
$\tilde{\nu}$	$m_{\tilde{\nu}} \approx 3 \text{ GeV}$	$m_{\tilde{\nu}} \approx 10 \text{ GeV}$

Particles with weak interactions must have $m \gtrsim \text{GeV}$
to account for $\Omega \approx O(1)$!

SPECIAL CANDIDATES : "SOLAR" COSMIONS

Could the SOLAR ν PROBLEM be the first detected signature of DARK MATTER IN OUR GALAXY?

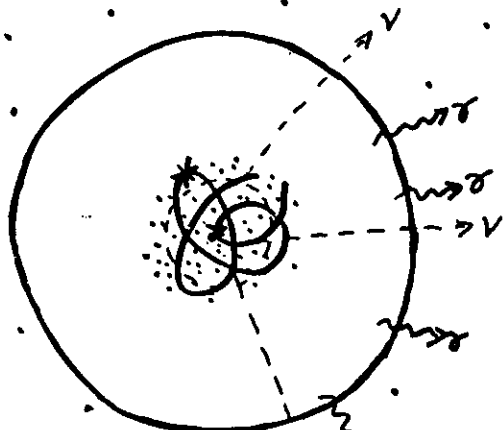
Bill Press : "The MISSING explains the INVISIBLE (or viceversa)!"

Faulkner, Guillard (1977-1985)

Press, Spergel (I and II) (1985)

all four, F-G-P-S (1985)

Thermal population of "Solar Cosmions" in the $\odot$

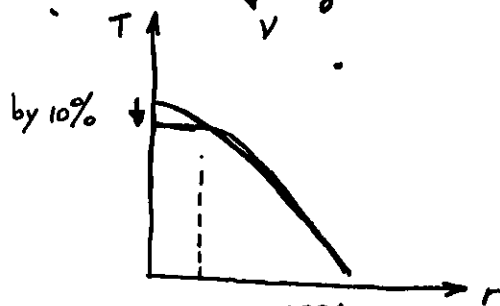


$\therefore$ transport ($k T_{\text{central}}$) per orbit $\therefore$ to affect E-transport

$$\frac{N_{\text{cosmions}}}{N_{\text{Baryons or } \gamma\text{'s}}} \approx \frac{t_{\text{orbit}}}{t_{\text{diffusion}}} \approx 10^{-11}$$

this is the number that the sun can capture from the halo!

"COSMIC COINCIDENCE" which allow this model to work



γ -producing region is not affected

T of $^8\text{B}\nu$ producing core decreases, Rate $\sim T^{19} \rightarrow \frac{1}{3}$ that solves the $\odot$ problem

flux ($^{37}\text{Cl exp.}$) $\approx \frac{1}{3}$ flux (standard sun) (Bahcall et al)

It is nontrivial that the picture may work,

SOLAR COSMIONS MUST HAVE

1) $m = 5$ to 10 GeV (maybe 20 GeV)

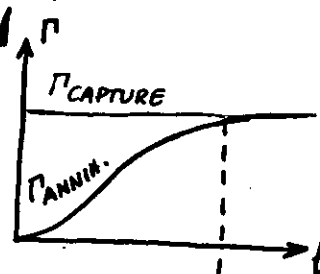
EVAPORATION

THE CORE AFFECTED is too small

2) $\sigma_{\text{SCATT}} \approx 4 \times 10^{-36} \text{ cm}^2$ such that $\lambda = \frac{1}{n_0 \sigma} \approx R_{\odot}$
OPTIMAL CAPTURE AND E-TRANSPORT
 $\sigma \approx 10^{-10} \sigma_{\text{weak}}$

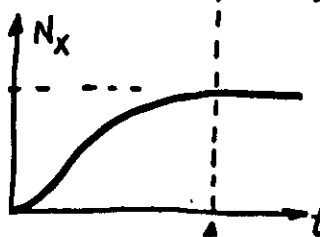


3) MUST AVOID ANNIHILATING FAST



$\Gamma_A \sim N_X N_{\bar{X}} \therefore$ increases

At equilibrium $\Gamma_A = \Gamma_C$



Freeze Krauss Press Spergel

N_{eq} is too small unless

$$\langle \sigma \sigma_{\text{ANNIH}} \rangle_{\odot} \lesssim 10^{-4} \sigma_{\text{SCATT.}}$$

usually $\sigma_A \gtrsim \sigma_{\text{SCATT}}$



4) MUST HAVE $\Omega_X \gtrsim 0.10$ TO ACCOUNT FOR HALOS

NON TRIVIAL PARTICLE PHYSICS, AT THE WEAK SCALE

NO "STANDARD" D.M. CANDIDATE WORKS ($\chi^{D,M}$, $\tilde{\chi}$, $\tilde{\nu} \dots$)

THERE ARE THREE PROPOSALS FOR "SOLAR COSMION" CANDIDATES:

1 G. Gelmini, L. Hall, J. Lin

X = Dirac or Majorana fermion

$\sigma > \sigma_{\text{weak}}$ mediated by coloured Higgs field

2 S. Raby and G. West

X = DIRAC HEAVY NEUTRINO WITH LARGE MAGNETIC MOMENT
"MAGNINO"

$\sigma > \sigma_{\text{weak}}$ mediated by photons (electromagnetic)

3. S. Raby and G. West

X = DIRAC HEAVY NEUTRINO
"EXON"

$\sigma > \sigma_{\text{weak}}$ mediated by the USUAL HIGGS FIELD (IF IT IS VERY LIGHT $m_{\text{Higgs}} \approx 400 \text{ MeV}$)

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MAY WE DETECT D.M. PARTICLES FROM THE HALO OF OUR GALAXY?

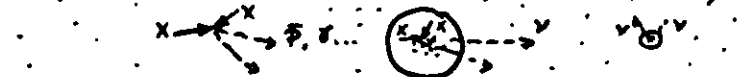
$$\beta_{\text{halo}} \approx 10^{-3}, \quad \text{flux} \approx \frac{1 \times 10^7}{\left(\frac{m}{\text{GeV}}\right)} \frac{\text{particles}}{\text{cm}^2 \text{ sec}}$$

No light vis, $m_\nu = 30 \text{ eV} \Rightarrow E_\nu \approx 10^{-5} \text{ eV!}$
(mass measurement could tell!)

YES axions  In cavities: Sikivie

YES heavy D.M. (with $m \gtrsim \text{GeV}$): such as heavy ν ,
or L.S.P ($\tilde{\chi}, \tilde{\nu}, \dots$)

I. INDIRECT DETECTION: through annihilation products
(annih in the halo, the sun, the earth)



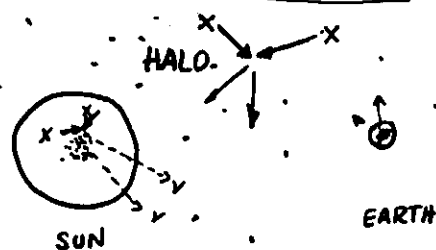
II. DIRECT DETECTION: through the energy deposited T by the D.M. particle in a collision with a Nucleus



experimental threshold $\Rightarrow T \approx \text{keV} \therefore m \beta^2 \approx 10^{-6} m > \text{keV} \Rightarrow m > \text{GeV}$

Goodman, Witten (NY) based on Drukier-Stodolski (1982)

I INDIRECT DETECTION



DETECT ANNIHILATION
PRODUCTS

ANNIHILATIONS IN THE HALO :

$$\begin{aligned} \tilde{\chi} \tilde{\chi} &\rightarrow p \bar{p} \Rightarrow \text{excess of } \bar{p} \text{ in cosmic rays} \\ &\quad \text{(Silk - Srednicki) '86} \\ \gamma \gamma &\rightarrow p \bar{p} \Rightarrow \text{account for the ENTIRE SPECTRUM of } \bar{p} \\ &\quad \text{in cosmic rays (Rudaz - Stocker) '87} \\ \tilde{\chi} \tilde{\chi} &\rightarrow (c\bar{c}) \rightarrow \text{charmonium} + \gamma \\ &\quad \text{(Silk - Srednicki - Theisen)} \end{aligned}$$

ANNIH. OF D.M. CAPTURED BY THE EARTH:

D.M. with coherent interaction with nuclei : $\nu^D, \tilde{\nu}$ with

$$\begin{aligned} \nu^D \nu^{Dirac} &\rightarrow \gamma \gamma & m > 12 \text{ GeV} \\ \tilde{\nu} \tilde{\nu} &\rightarrow \gamma \gamma \end{aligned}$$

IMB data $\Rightarrow$ excluded if $12 \text{ GeV} < m \leq 20 \text{ GeV}$
(Freese / Krauss - Srednicki - Wilczek)

ANNIH. OF D.M. CAPTURED BY THE SUN:

example $\tilde{\nu} \nu^{maj} \nu^D \tilde{\nu}$ with
 $m > 4 \text{ GeV}$

$\rightarrow$ high energy ν 's from the sun.

(Olive-Silk / Gaisser-Steigman-Tlavar/Srednicki-Olive-Silk)

last hints from FREJUS, IMB, KAMIOKA - 9 -

Table 1. Photinos

$m_{\tilde{\gamma}}$ (GeV)	r (Case 1)	r (Case 2)	r (Case 3)
4	0.11	0.014	0.097
6	0.032	0.015	0.077
10	0.0067	0.016	0.054
20	—	0.0066	0.013
40	—	0.0023	0.0023
limit	0.14	0.024	0.036

Table 2. Higgsinos

m_H (GeV)	r (Case 1)	r (Case 2)	r (Case 3)
6	0.045	0.0091	0.052
10	0.0084	0.010	0.040
20	—	0.0057	0.012
40	—	0.0023	0.0025
limit	0.14	0.024	0.036

Table 3. Majorana neutrinos

$m_{\nu\nu}$ (GeV)	r (Case 1)	r (Case 2)	r (Case 3)
6	0.065	0.011	0.064
10	0.023	0.028	0.11
20	0.0058	0.051	0.11
40	—	0.038	0.082
limit	0.14	0.024	0.036

BEST ANALYSIS : K.Olive and M.Srednicki

DATA : IMB + KAMIOKANE + FREJUS

Table 4. Dirac neutrinos

$m_{\nu D}$ (GeV)	r (Case 1)	r (Case 2)	r (Case 3)
4	—	0.022	0.087
6	—	0.044	0.12
10	—	0.10	0.17
20	—	0.30	0.24
40	—	0.70	0.28
limit	0.14	0.024	0.036

Table 5. Scalar electron neutrinos

$m_{\nu e}$ (GeV)	r (Case 1)	r (Case 2)	r (Case 3)
4	—	—	3.7
6	—	—	6.3
10	—	—	11.
20	—	—	20.
40	—	—	26.
limit	0.14	0.024	0.036

Table 6. Scalar muon neutrinos

$m_{\nu \mu}$ (GeV)	r (Case 1)	r (Case 2)	r (Case 3)
4	—	0.50	1.4
6	—	1.3	2.3
10	—	3.8	4.1
20	—	13.	9.5
40	—	35.	18.
limit	0.14	0.024	0.036

CASE 1 : IMB, contained events, $1\text{GeV} < E_\nu < 2\text{GeV}$

$\theta < 30^\circ$ from the sun : 11/89

CASE 2 : IMB, through going μ , $E_\nu > 2\text{GeV}$

$\theta < 8^\circ$ from the sun : 2/187

CASE 3 : IMB + KAMIOKA + FREJUS, contained events $E > 2\text{GeV}$

(IMB) $\theta < 30^\circ$: 0/10, (K) 0/23, (F) 0/31

90% C.L.
BOUNDS

• P.M. captured in the $\oplus$ may annihilate:

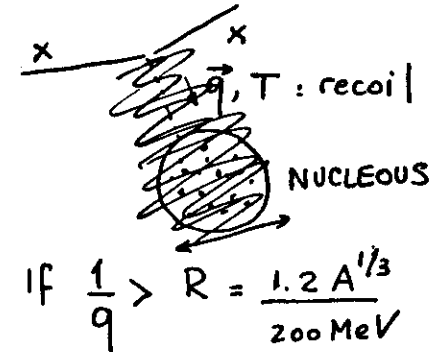
Freese PLB 167, 295 (1986)

Krauss Srednicki Wilczek PR D33, 2079 (1986)

ONLY DIRAC ν and $\bar{\nu}$ can be trapped in $\oplus$, $m > 10\text{GeV}$
(to avoid evaporation)

While σ_{SCATT} of $\tilde{\nu}$, ν , $\bar{\nu}$ in the $\odot$ are similar, in the earth are different

$$\sigma^{NR} = \frac{m_x^2 M^2}{\pi (m_x + M)^2} |A|^2$$



$\Rightarrow \nu_{\text{DIRAC}}, \tilde{\nu}$ have coherent interactions

$$\text{weak int : } |A|^2 = \frac{1}{2} \left(Z \underbrace{(1 - 4 \sin^2 \theta)}_{\approx 0} - N \right)^2$$

but $\tilde{\nu}$, ν_{MAJORANA} (MAJORANA FERMIONS)

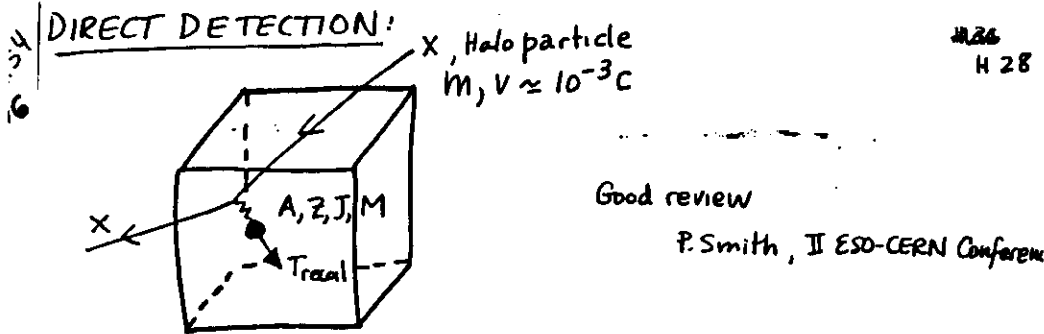
$$|A|^2 \sim \lambda^2 \underset{\substack{\uparrow \\ \text{NUCLEAR SPIN}}}{J(J+1)}}$$

This difference is very important for

DIRECT DETECTION

$$\left[\sigma^{NR} \text{ and } T_{\text{RECOIL}}^{\text{MAX}} \approx M \left(\frac{N}{C} \right)^2 \frac{m_x^2}{(m_x + M)^2} \right] \text{favour}$$

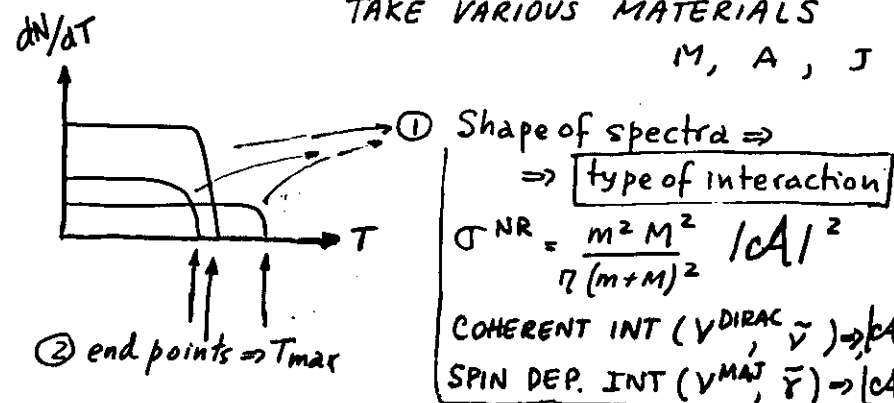
nuclei as targets



M26
H 28

SIGNATURES (IF DETECTION OCCURS):

TAKE VARIOUS MATERIALS
 M, A, J



$$\sigma_{NR} = \frac{m^2 M^2}{\eta (m+M)^2} |A|^2$$

COHERENT INT ($v^{DIRAC}, \tilde{v}$) $\Rightarrow |A|^2 \sim A^2$
SPIN DEP. INT ($v^{MAJ}, \tilde{v}$) $\Rightarrow |A|^2 \sim J$

$$T_{max} = 2M \left(\frac{v}{c} \right)^2 \frac{m^2}{(m+M)^2} \Rightarrow [m, v]$$

Solar cosmions $> 10^{-10^2} x$

$$\geq 10^3 - 10^6 \frac{1}{kg \text{ day}}$$

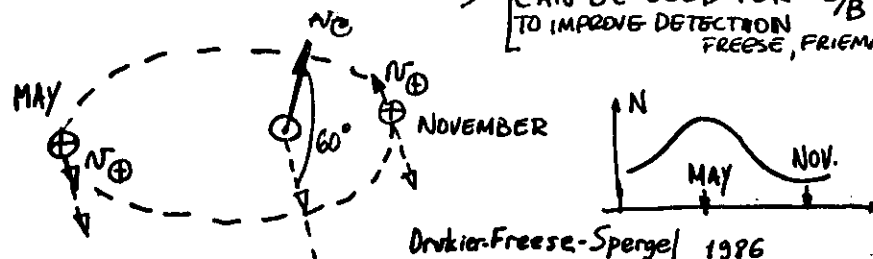
Solar cosmion $\sim 10^{-10^2} x$

$$\sim 1 - 10^3 \frac{1}{kg \text{ day}}$$

③ How to know these are particles from the halo:

ANNUAL MODULATION OF THE SIGNAL (DUE TO THE MOVEMENT OF THE EARTH AROUND THE SUN)

[CAN BE USED FOR $S/B < 1$
TO IMPROVE DETECTION
FREESE, FRIEMAN, GOULD
1987]



Expected Rates for some "standard" candidates

$\tilde{\nu}$, DIRAC ν : have coherent int with nuclei

$$10^2 - 10^4 \frac{1}{\text{kg day}}$$

$\tilde{\nu}$, $\tilde{H}$, MAJORANA ν : have spin dependent int only
($\therefore$ non coherent)

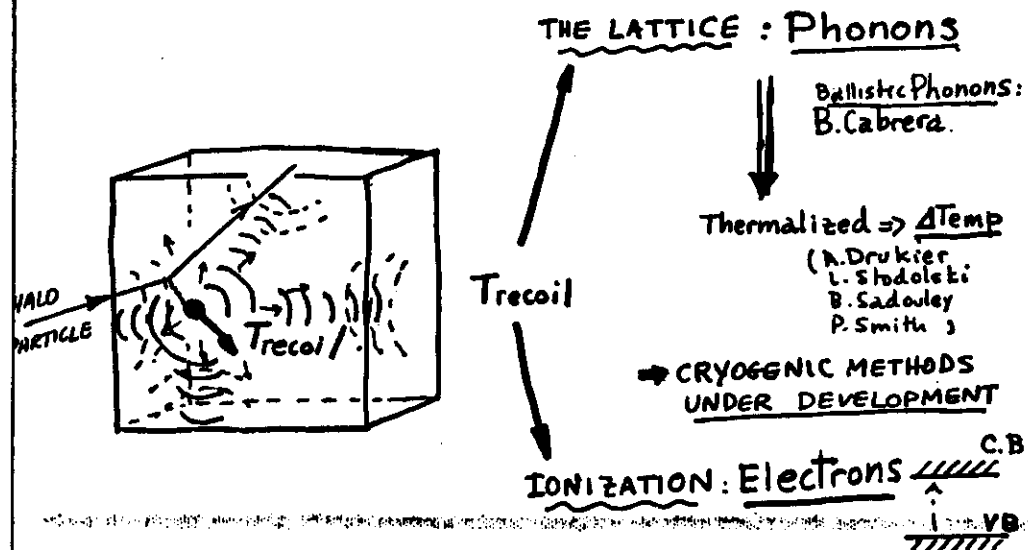
$$10^{-1} - 10 \frac{1}{\text{kg day}}$$

$\therefore$ typical C.D.M. detector : 1-10 Kg

Background expected now : few / kg day !

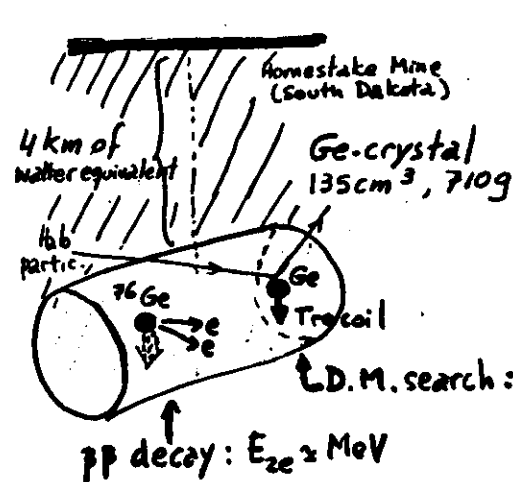
HOW TRECOIL CAN BE DETECTED ?

NEED { low E-threshold (keV's)
low background (some events / kg day)



Allows the use of EXISTING (NON CRYOGENIC) Ge-DETECTORS

NEW TECHNOLOGY OF LOW BACKGROUND DEVELOPED TO SEARCH $\bar{p}p$ DECAY



Batelle - Carolina (PNL/USC)

F. Avignone - R. Brodzinski

Search for D.M. with

S. Ahlen, A. Drukier, D. Spergel, G.G.

OBTAINED 1st BOUNDS FROM DIRECT SEARCH

NOW ALSO UCSB/LBL (Caldwell, Witherell, Sadoulet....)

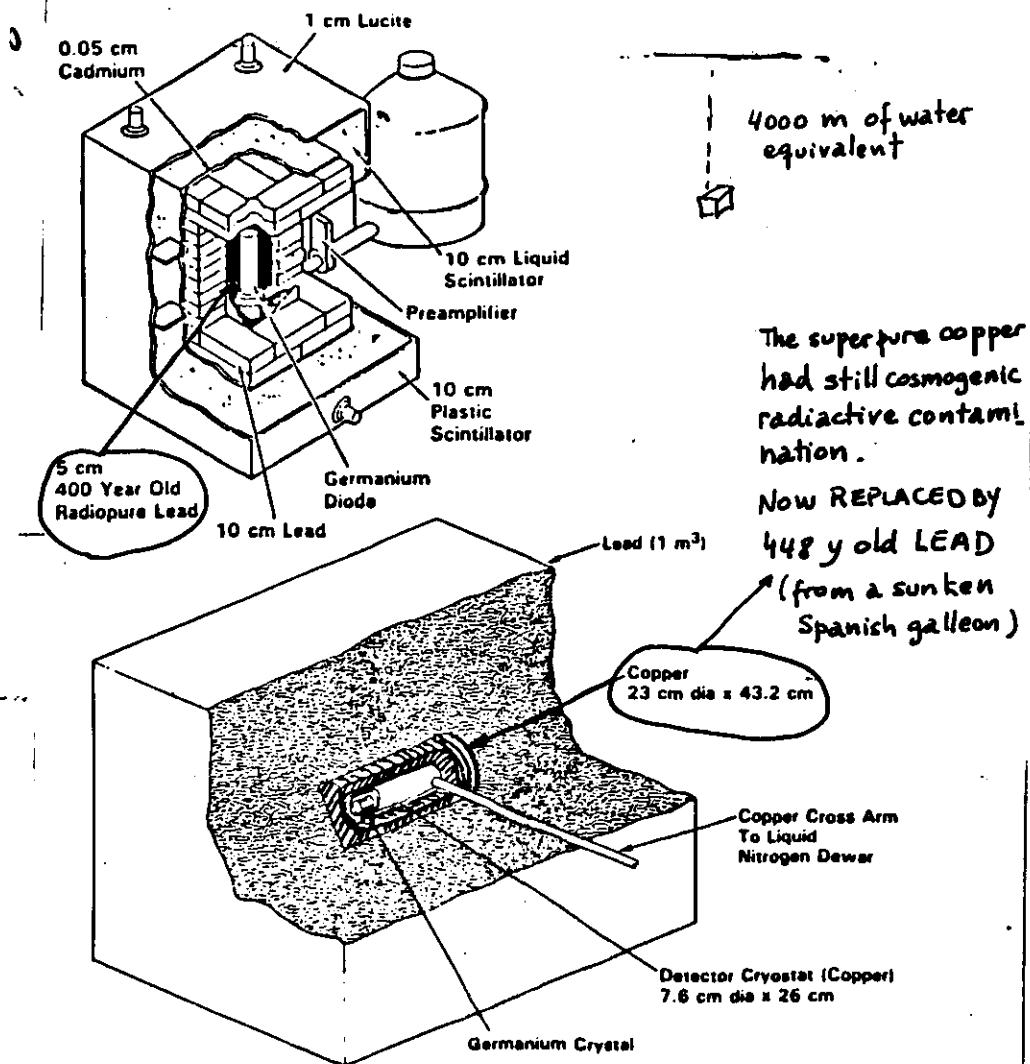
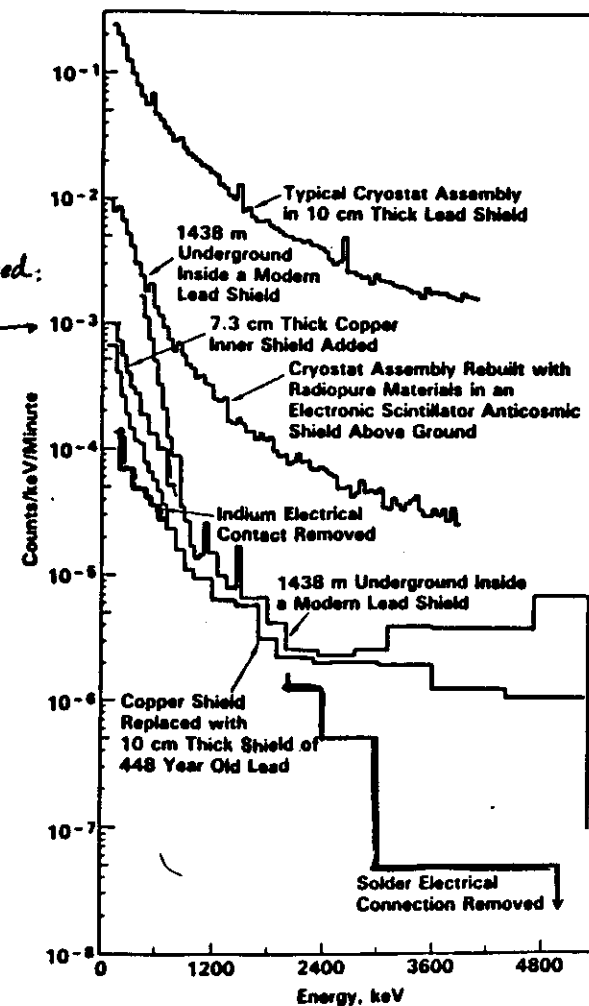


FIG. 1. Ultra-low-background, 135 cm³ prototype Ge detector with copper inner shield.

Background Spectra of a 31.5% Germanium Diode Gamma-Ray Spectrometer in Different Cryostats and Shielding Configurations

data we used:
2 counts
keV kg day



8.9805 keV
10.551 keV

Fit a quadratic function
(6% non linear) $\Rightarrow$
ERROR IN CALIBRATION AT EM
IS .1 keV

25.2713 keV
46.503 keV

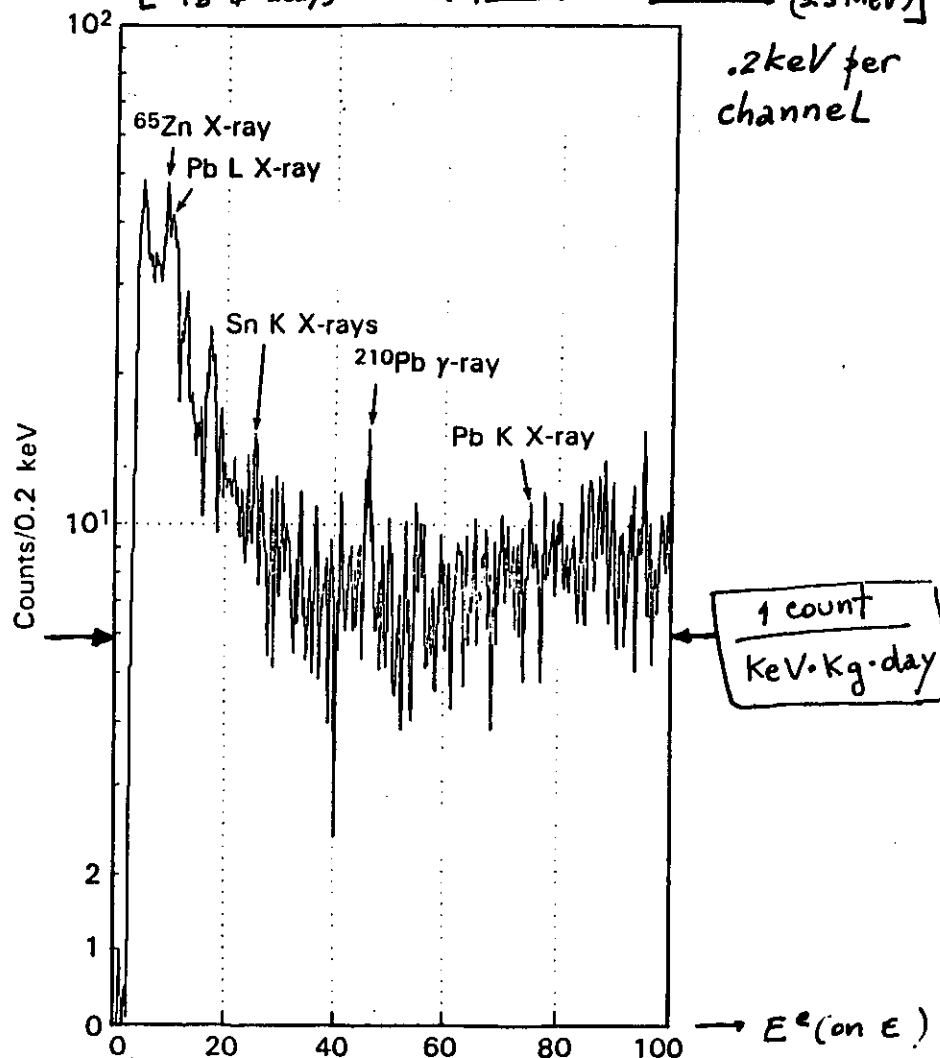
74.969 keV

PRELIMINARY
NEW DATA

54 days { december
23rd
to feb 22nd

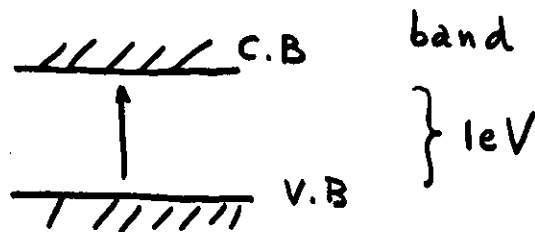
- 1000 hours of data - low E part of spectrum
- The identified peaks come from one solder point (now removed)

^{115}In ($Z_{1/2} \approx 6 \times 10^{14} \text{ yr}$) β -decay ($Q = 490 \text{ keV}$)
 ^{210}Pb (β -decay) $\rightarrow$ ^{210}Bi (β -decay) ^{210}Po α -decays (5.3 MeV)



sept 1985 $E_{th}^e = 4 \text{ keV}$ ($= 15 \text{ keV}$ on Ge Nucleus)
 due to microphonic noise (mining operation)
 NOW: ANTICOINCIDENCE FILTER, SOON $E_{th} = 1 \text{ KeV}$

Detector counts: Number of e^- which jump into the conduction band



$$\text{R.E.F. Relative efficiency factor} = \frac{\text{N}^{\text{er}} \text{ of } e^- \text{ s if } \begin{array}{c} e^- \rightarrow \text{Trecoil} \\ \text{Ge} \end{array}}{\text{N}^{\text{er}} \text{ of } e^- \text{ s if } \begin{array}{c} \bullet \rightarrow \text{Trecoil} \\ \text{Ge} \end{array}} > 1$$

$$\text{R.E.F.} \approx 3.75 \text{ for } T_{\text{recoil}} \approx 0 (10 \text{ keV})$$

calcul. by S. Ahlen, data from Chasman (1965) on Ge.

(agreement with calcul. of Linhardt, 1963 and data on Si from Sattler, 1965)

a given signal corresponds to

$$e^- \rightarrow T_{\text{recoil}}^e$$

$$\text{Ge} \rightarrow (\text{R.E.F.}) \times T_{\text{rec}}^e$$

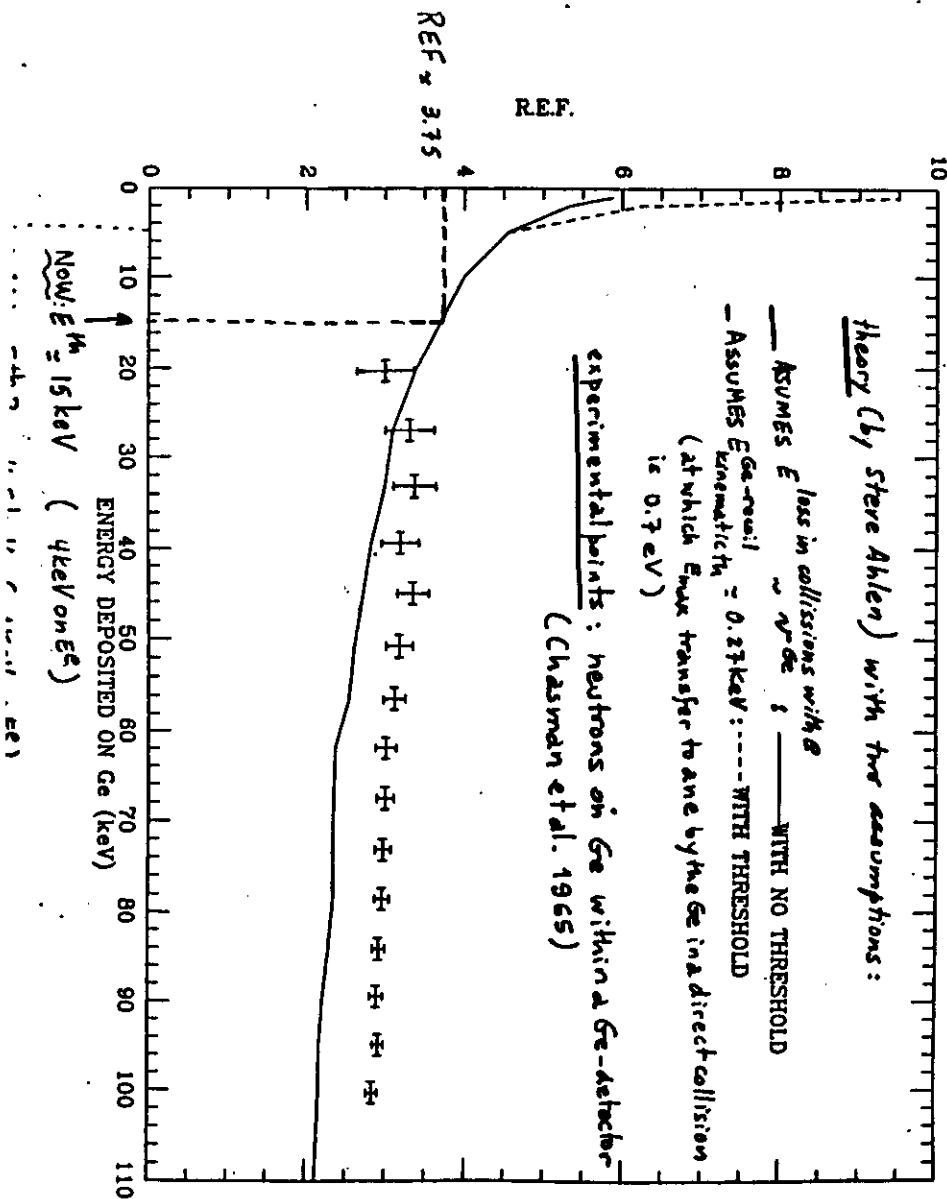
PNL/USC

$$T_{\text{threshold}}^e = 4 \text{ keV}, T_{th}^{\text{Ge}} = 15 \text{ keV}$$

soon: 1 keV - reduce microphonic noise from blasting

Background = few / KeV Kg day

soon: $\times 10^{-1}$ - Cu $\rightarrow$ 500y old Pb, remove solder, replace In



To get bounds

$$\text{Rate} \sim \left[\frac{(P_x)_{\text{local}}}{m_x} \sigma \right] N < \text{Rate observed}$$

Predicted

a few / keV.kg.day

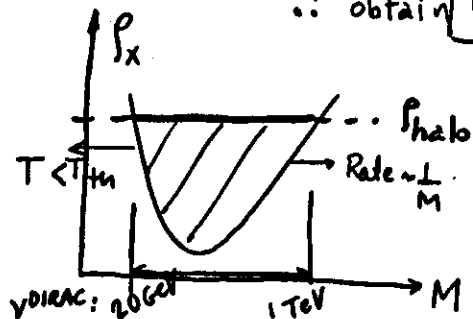
halo model:

$f(\vec{v})$ Gaussian ; $(P_x)_{\text{local}} = 0.4 \frac{\text{GeV}}{\text{cm}^3}$ (error: factor 2!)

Very conservative

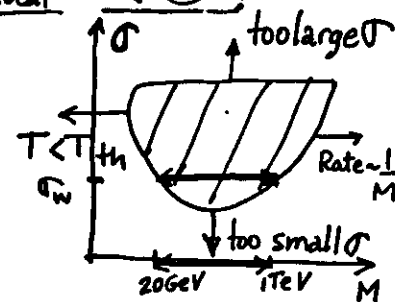
$$\begin{cases} v_{\text{r.m.s.}} = 250 \text{ km/sec} \\ v_{\text{max}} = 550 \text{ km/sec} \\ (v_{\text{halo}})_{\text{local}} = (v_{\text{bulge}})_{\text{local}} = 80 \text{ km/sec} \end{cases}$$

$\therefore$ obtain $(P_x)_{\text{local}} \sigma < \otimes$



given σ ($= \sigma_{\text{weak}}$ for ex.)

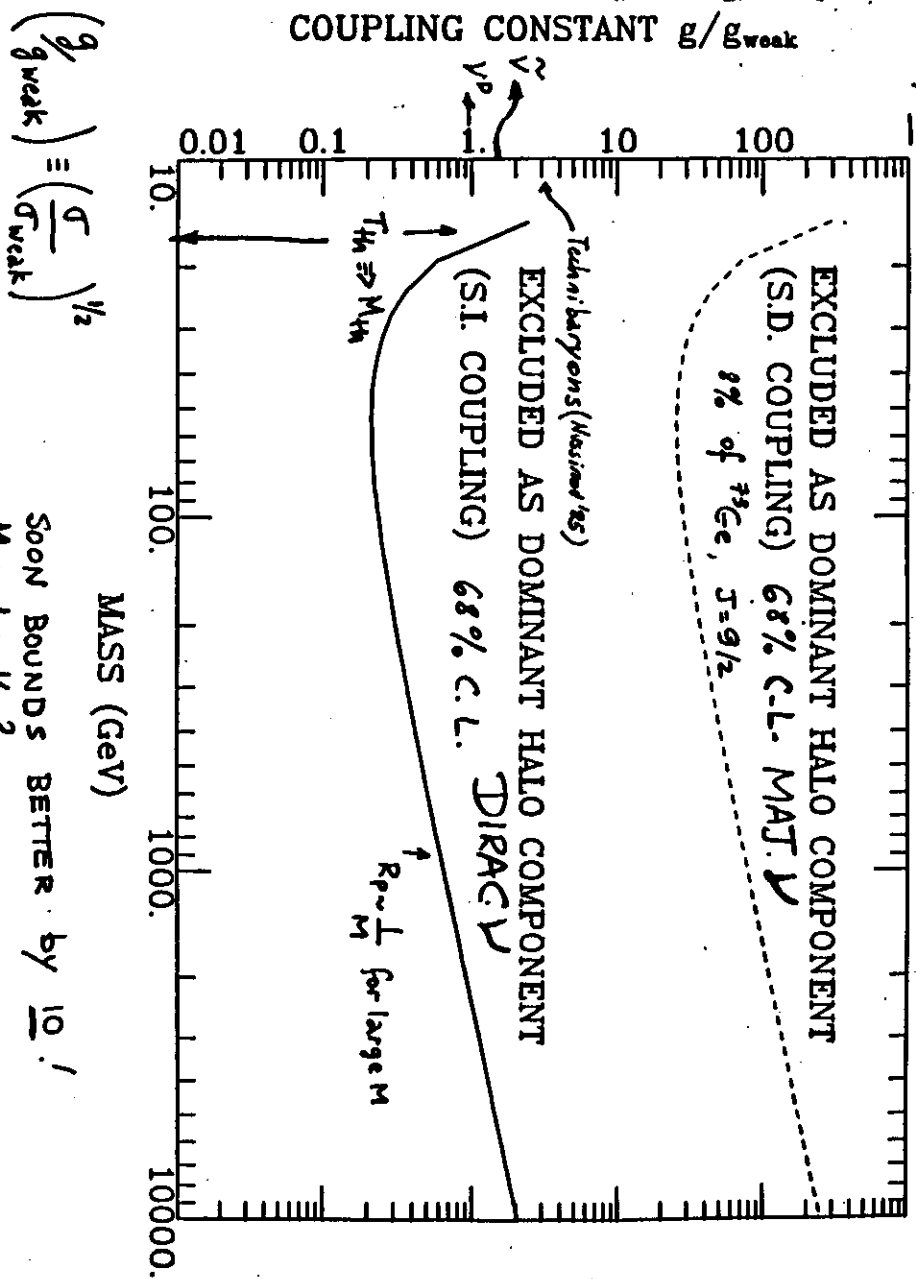
fix G (the c.c.)



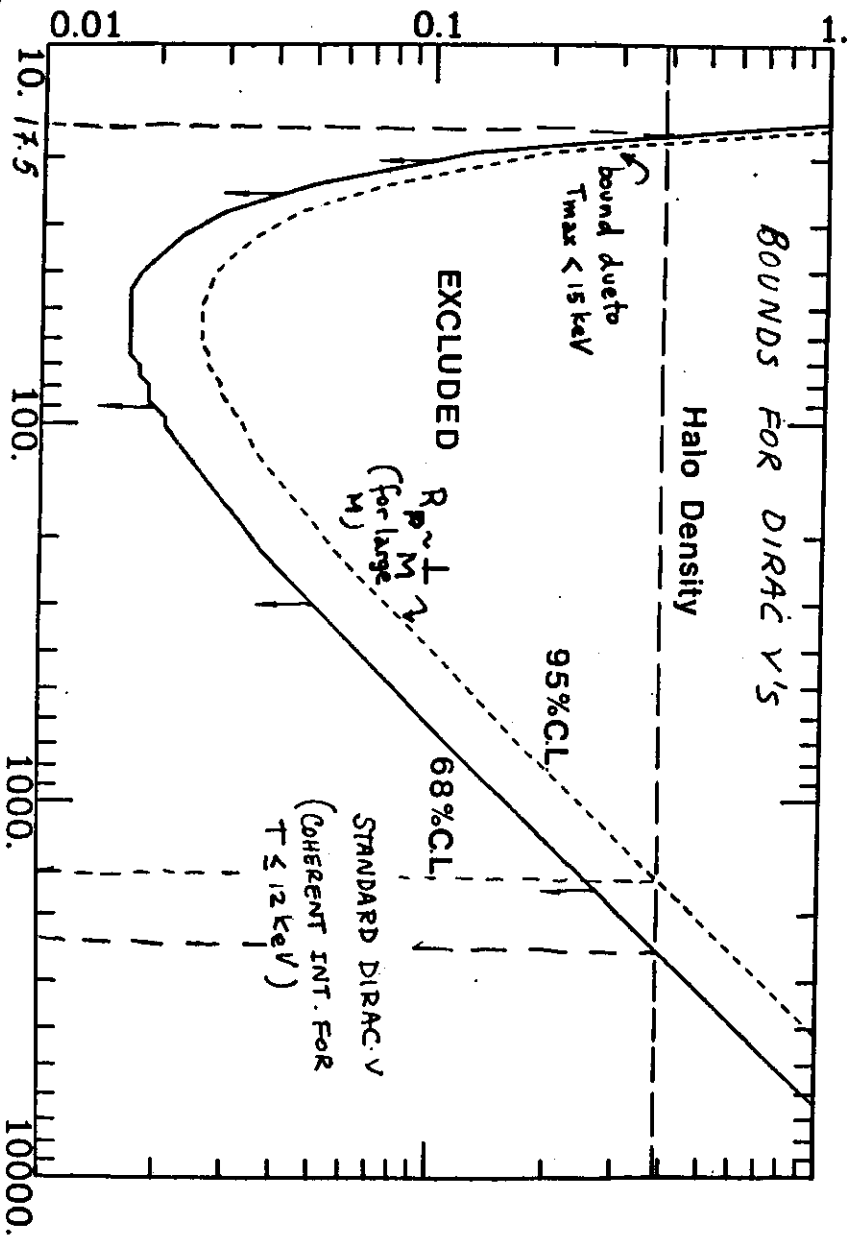
fix $P = P_{\text{halo}}$

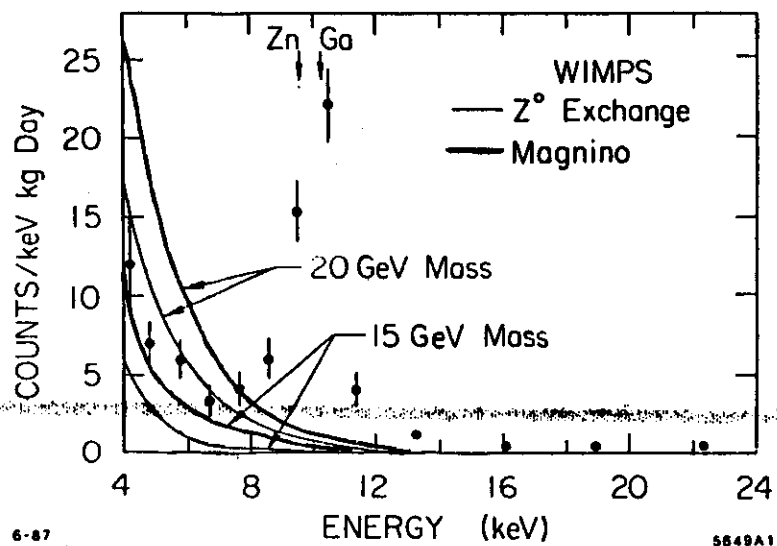
bounds finish at $\sigma \approx 10^{-28} \text{ cm}^2$: particles are stopped in the crust before reaching the Ge!

15 3 58 26

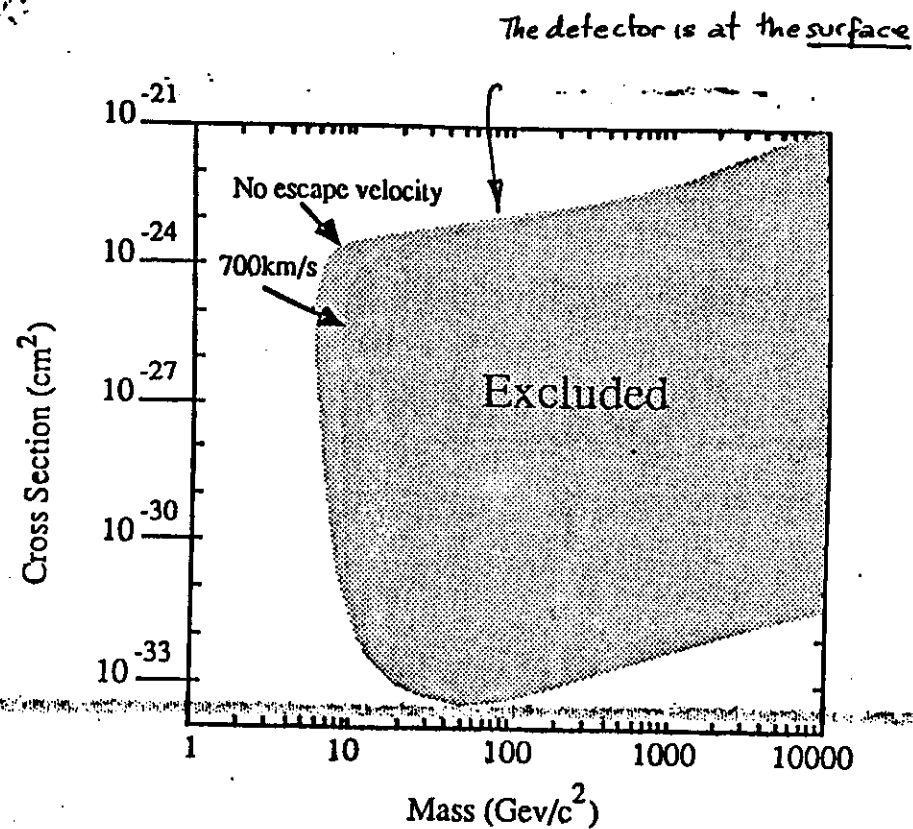


Density (GeV cm^{-3})





LBL/UCSB (D. Caldwell et al.) (1988)



LBL/UCSB (D. Caldwell et al.) (1988)

[For "DIRAC NEUTRINO" LIKE PARTICLE WITH
VARIABLE G INSTEAD OF G_F]

Axio-electric effect

S. Dimopoulos, B. Lynn, G. Starkman

Idem photo-electric effect: σ enhanced for $|k_r| \approx$ atomic bound states energies



● Free e: FORBIDDEN BY $\delta(E) \delta(\vec{p})$

● Atomic e  - $M \rightarrow \infty$ breaks translation invariance
 $\therefore \delta(\vec{p}) \Rightarrow$ ALLOWED
 (the Nucleus can absorb any $\Delta \vec{p}$)
 not $\Delta E \sim p^2/2M \sim 0$

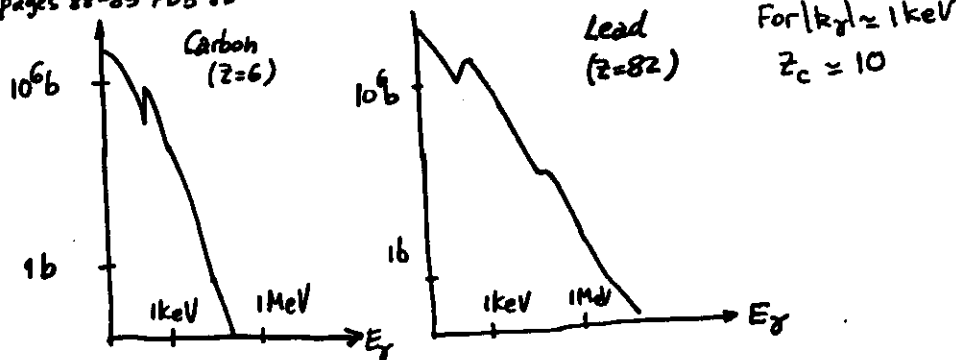
another point of view:

uncertainty $\Delta \vec{p} \gtrsim \hbar/\Delta r$ $\therefore$ when $|k_r| \leq |\Delta \vec{p}| \Rightarrow$ ALLOWED

$|\Delta \vec{p}| \approx \frac{1}{|\Delta r|} \approx E_{\text{binding}} \approx \frac{Z^2 \alpha}{a_0} > |k_r|$ for $Z > Z_c$ AND

● for $Z > Z_{\text{critical}}$: $\frac{n^{\text{of}} e}{kg} \approx \text{const.}$ $\left(\frac{n^{\text{of}} e}{dt} \cdot \frac{n^{\text{of}} at}{kg} \approx \frac{Z}{A} \right)$

pages 88-89 PDB'86



Bounds on light bosons from the sun:

$$L = g m_e \bar{e} i \gamma_5 e \phi, e \nearrow \phi$$

● ϕ = Nambu Goldstone boson $\Rightarrow m_\phi = 0$ (Majorons, familons...)

or "almost": axion

$$g = \frac{1}{F}$$

Peccei-Quinn breaking scale

$$m_a \approx 7 \text{ eV} \left(\frac{10^7 \text{ GeV}}{F} \right)$$

● ϕ emitted from the sun



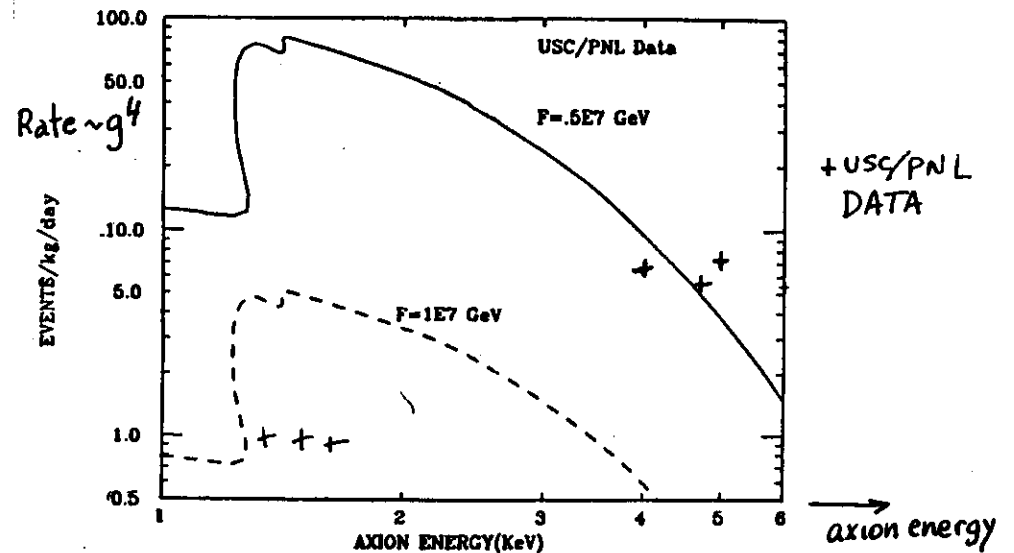
absorbed by an e in a Ge atom



"Axioelectric" effect

Dimopoulos Lynn Starkman
 + Avignone et al..

Axion Rate for Germanium



$\Rightarrow$ BOUND $F (=g^{-1}) > 0.5 \cdot 10^7 \text{ GeV}$

AS GOOD AS THE ASTROPHYSICAL BOUND FROM THE SUN: $> 1.08 \cdot 10^7 \text{ GeV}$
 (from helium burning stars $F > 0.1 \cdot 10^9 \text{ GeV}$!)

SOON: $E_h = 4 \rightarrow 1 \text{ keV}$
 background $\rightarrow \times 10^{-1} \} \Rightarrow F (=g^{-1}) \gtrsim 1.8 \cdot 10^7 \text{ GeV}$

Conclusions:

- dark matter is the most abundant form of matter in the universe
- Experiments trying to detect D.M. particles are of the type in which a negative result is not meaningful (since always we may find new candidates!) BUT A POSITIVE RESULT...
- The Ge-detectors for $\beta\beta$ decay represent a new technology: the frontiers of low background
low E, small rate,

and they exist now $\Rightarrow$ results known in 1y from now!

If we find D.M.: YOU WILL CERTAINLY KNOW IT!

OTHERWISE, we just eliminated some candidates for the future cryogenic detectors

which are a new step towards the physics of low E
low background, small rate.

