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UNITED NATIONS EDUCATIONAL, SCIENTIFIC AND CULTURAL ORGANIZATION



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WORKSHOP ON SPACE PHYSICS:
"Materials in Microgravity"
27 February - 17 March 1989

"MicrogravityEnvironment"

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Please note: These are preliminary notes intended for internal distribution only.

● Space Flight Conditions

Motivation to perform science in space. In many aspects different from conditions on Earth.

From the factors of space flight

e.g.

- Position above Earth
- space vacuum
- low column density
- unique:
 - Simulated state of weightlessness, in principle without time limitations.

However:

Weightlessness is an ideal state.

In reality: Residual accelerations

Microgravity

To optimize and to analyse experiments:

Need to understand the character of microgravity (magnitude, direction, frequency, etc.)

● Table of Content

- Principle for simulating weightlessness
- Effects causing residual accelerations.
- Characterization of the microgravity environment aboard an orbiting spacecraft
 - Case study: Spacelab D1 Mission
 - Outlook: EURECA, Space Station/COLUMBUS
- Other opportunities/programmes to perform microgravity experiments
 - Sounding rockets,
 - Aircrafts,
 - Drop tubes/towers

Earth's Gravitational Field

● The Earth's Gravitational Field

Newton's second law for central gravitational fields

$$-\vec{W} = m \underbrace{\frac{\gamma m_e}{r^2} \frac{\vec{r}}{r}}_{\vec{g} \text{ field strength}} = m \vec{g}(r)$$

$$g = \frac{\mu}{r^2}$$

$$g_0 = g(r_0) = 9.81 \frac{\text{m}}{\text{s}^2}$$

$\mu = \gamma m_e$ gravitational parameter

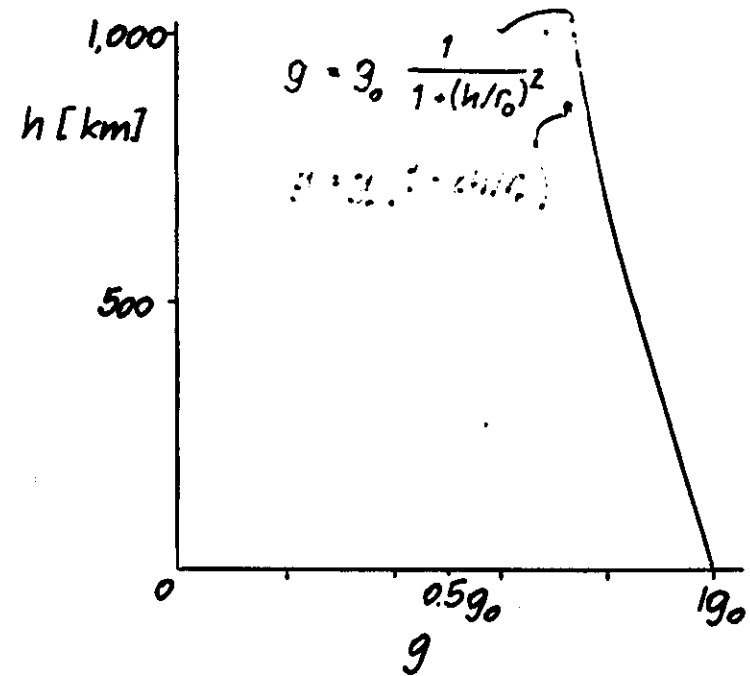
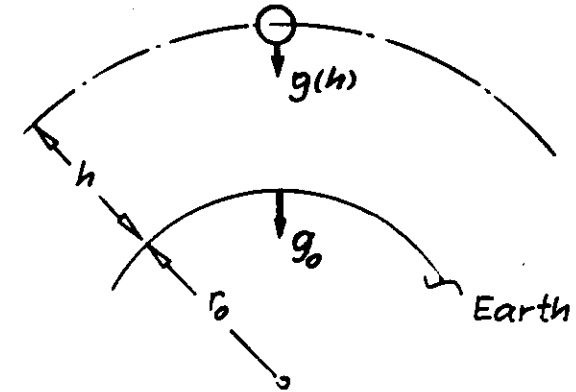
$r_0 = 6.371 \text{ km}$ mean radius

$$\left[\frac{g}{g_0} = \left(\frac{r_0}{r} \right)^2 = \frac{1}{(1+h/r_0)^2} \right]$$

$$\frac{g}{g_0} \approx 1 - \frac{2h}{r_0}; \quad \frac{h}{r_0} \ll 1$$

$$\Delta g = 3\% \text{ for } h = 100 \text{ km}$$

$$= 3 \cdot 10^{-7} g_0 / \text{m}$$



Simulation of Weightlessness in ~~Spaceflight~~ Flight

1) Gravity can be compensated in orbital flight by centrifugal acceleration a_c due to the curvature of the orbit.

Circular orbit:

- $g = a_c$
- $$\frac{\mu}{r_{CM}^2} = r_{CM} \omega_s^2$$
- $$\omega_s = 2\pi f_s = \sqrt{\frac{\mu}{r_{CM}^3}}$$
- $$v_s = \sqrt{\frac{\mu}{r_{CM}}}$$

$h = 0$:

- $$\omega_{so} = \sqrt{\frac{\mu}{r_o^2}} = 1.2 \cdot 10^{-3} \text{ s}^{-1}$$
- $f_{so} = 2 \cdot 10^{-4} \text{ Hz}$
- $v_{so} = 8 \text{ km/s}$

2) A force-free state of the spacecraft requires:

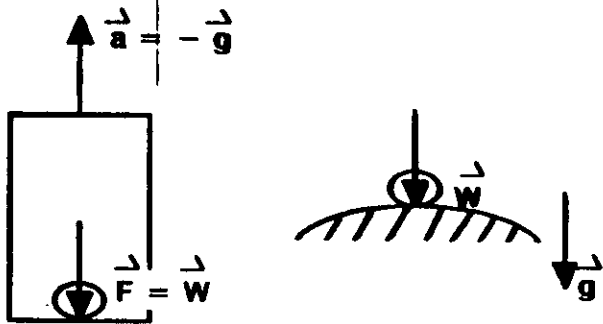
$$\Sigma a_{\text{tangential}} = 0$$

i.e. ~~no tangential acceleration~~

Result: A force-free state (weightlessness or 0g) is achieved in a free drifting spacecraft at the CM.

(A more general justification will be given later on)

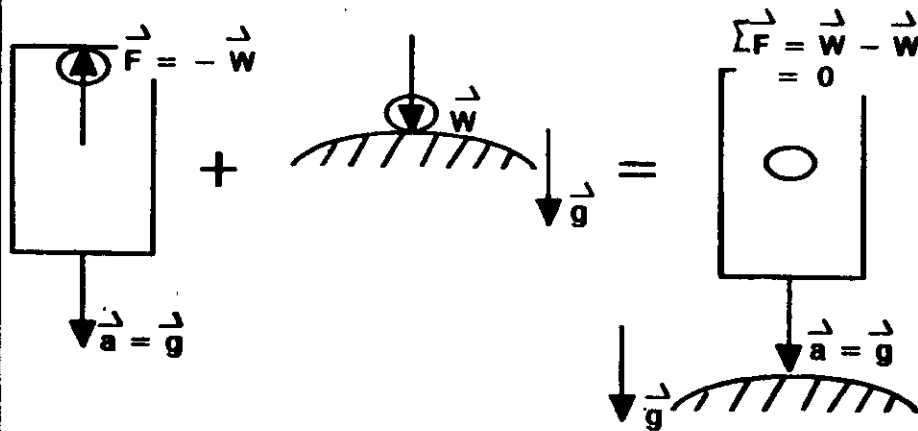
Principle of Equivalence



Superposition



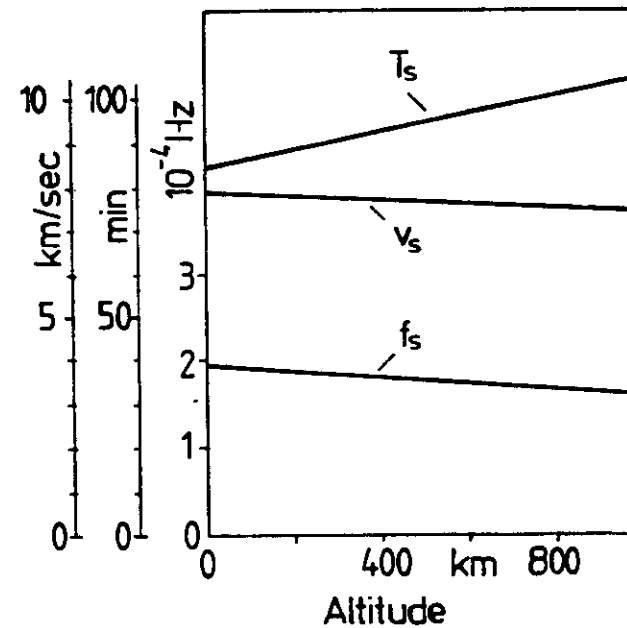
Free Fall



Result: Weightlessness is simulated in a free fall system.

A freely drifting Spacecraft is a special case of free fall systems.

v_s T_s f_s



● The Real Spacecraft:
Residual accelerations

Weightlessness is an ideal state.

In reality: residual accelerations (Microgravity)

Effects:

1) ● Residual external forces

e.g. ● atmospheric drag

● solar radiation pressure

● thruster firings

Change momentum

Exerting a torque

2) ● The extended spacecraft.

For objects not located at CM

● $g \neq a_c$ (tidal effect)

● Rotation may cause additional centrifugal acceleration. Coriolis acceleration for moving objects.

● Internal forces

due to change of mass distribution.

(motion of mechanical parts, crew activities, etc.)

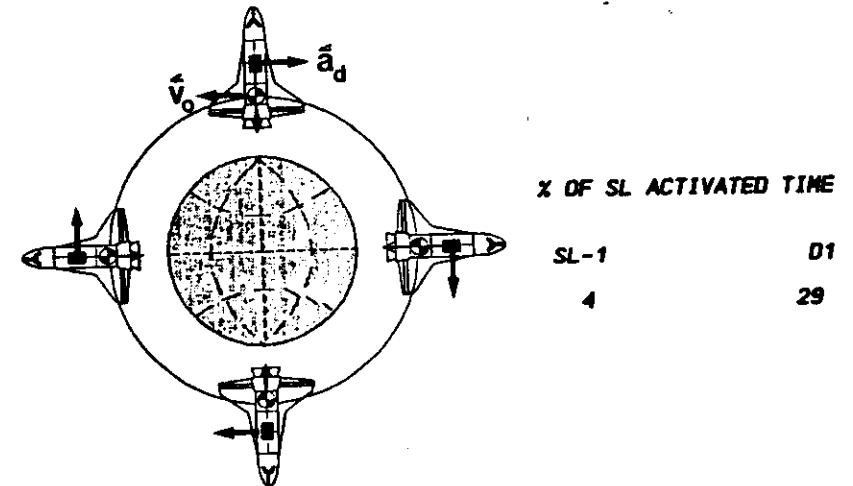
No change of momentum.

QUASI STEADY ACCELERATION

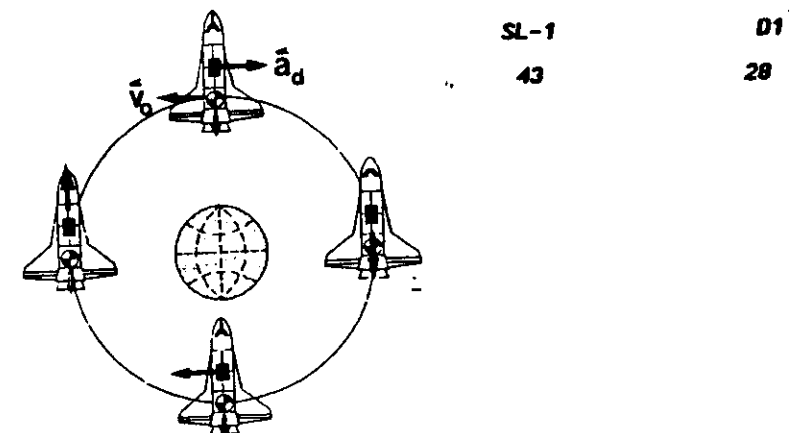
● ATMOSPHERIC DRAG

DIRECTED OPPOSITE TO THE ORBITAL VELOCITY VECTOR.

● GRAVITY GRADIENT MODE (GGM): CONSTANT DIRECTION OF THE DRAG VECTOR



● INERTIAL MODE (IM): ROTATING DRAG VECTOR



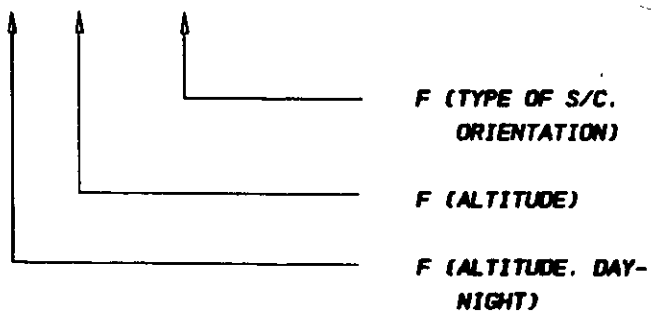
QUASI STEADY ACCELERATION

ATMOSPHERIC DRAG (CONT.)

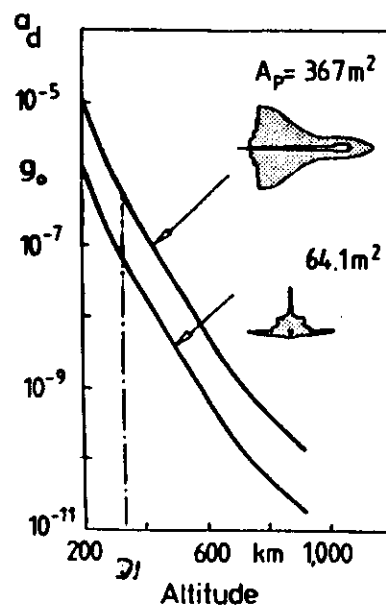
● ATMOSPHERIC DRAG (CONT.)

● ATMOSPHERIC DECELERATION

$$A_D = C_D \cdot (\rho/2) V_0^2 \cdot \underbrace{(A_p/M)}$$



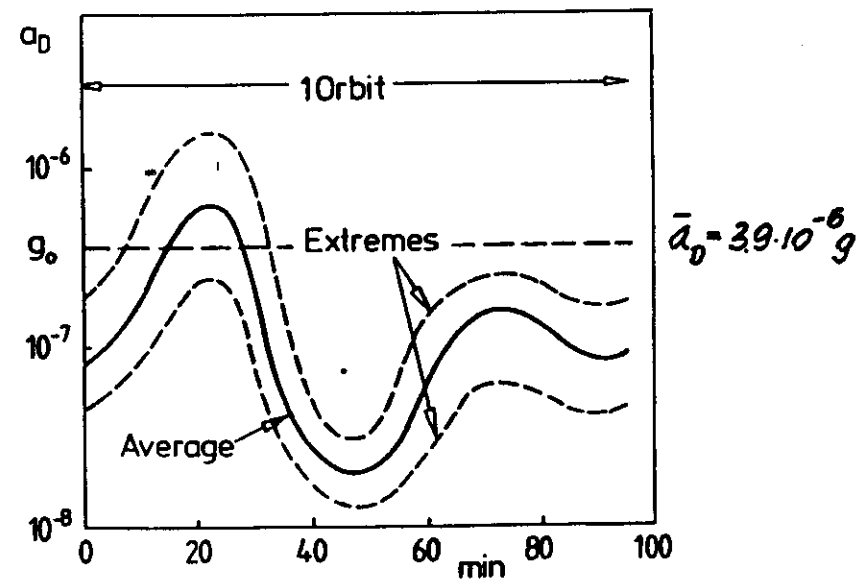
● ORBITER/SPACELAB



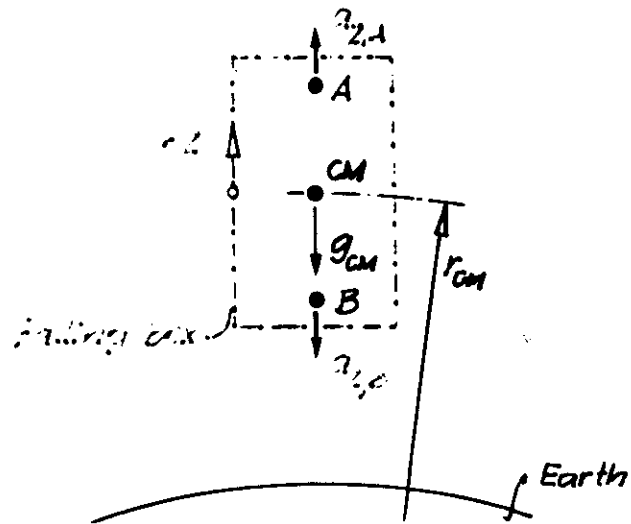
● A_p/M FOR DIFFERENT CARRIERS

EURECA 1	$2.0 \cdot 10^{-2} \text{ m}^2/\text{kg}$
US-MEN	$1.8 \cdot 10^{-2}$
ORBITER/SL	$0.7 \text{ TO } 4.0 \cdot 10^{-3}$
SPACE STATION	$0.9 \text{ TO } 1.2 \cdot 10^{-2}$

● SPACE STATION



The Tidal Effect



At point A : $g_A < g_{cm}$

Acceleration relative to the box :

$$\begin{aligned} a_{z,A} &= -g_A - (-g_{cm}) \\ &= g_{cm} - g_A > 0 \end{aligned}$$

$$a_{z,B} < 0$$

Directed away from CM.

QUASI STEADY ACCELERATION

TIDAL EFFECT

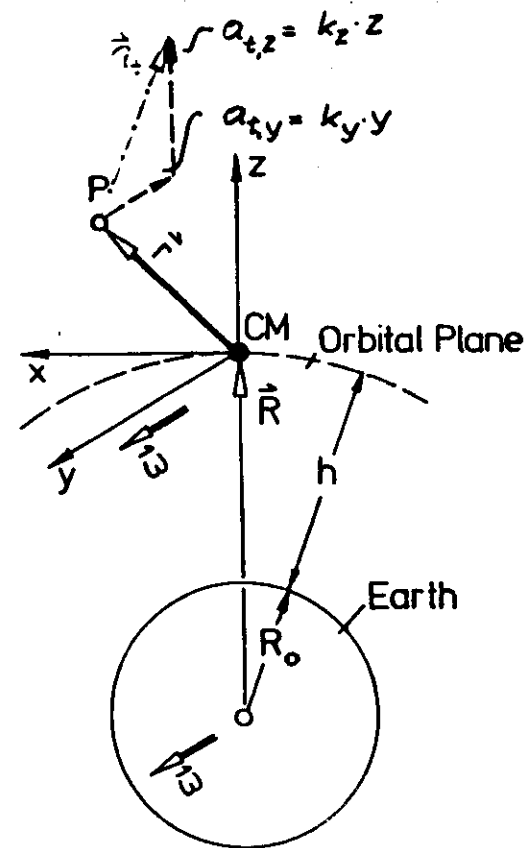
GRAVITY GRADIENT MODE

$$h = 300 \text{ km}$$

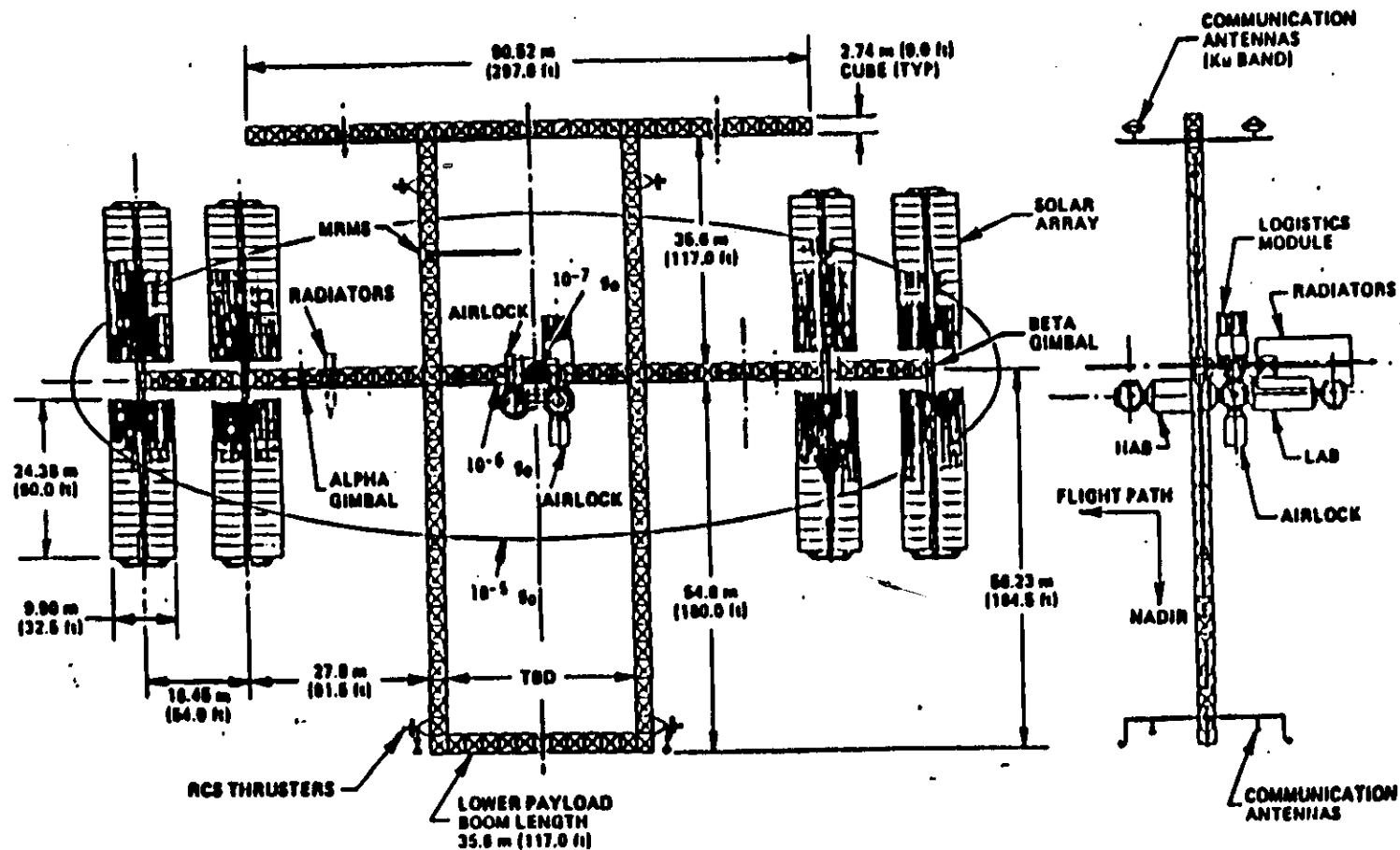
$$k_z = 4 \cdot 10^{-7} g_0/m$$

$$k_y = -1.3 \cdot 10^{-7} g_0/m$$

$$k_x = 0$$



MANNED CORE SPACE STATION



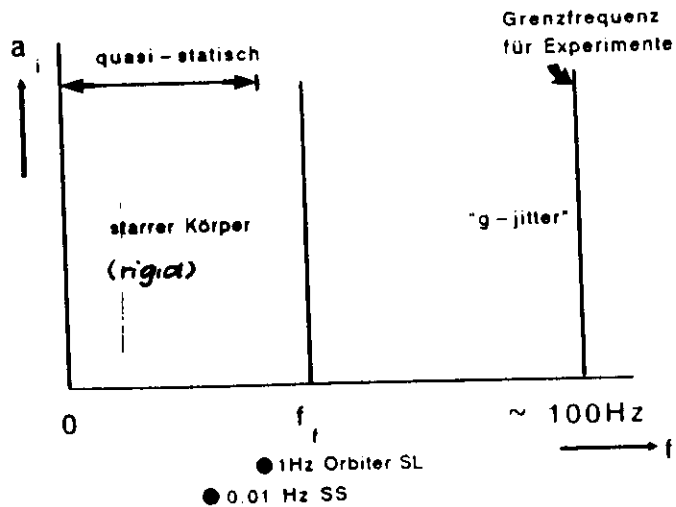
Antwort des Raumfahrzeugs

$$\underline{a}(\underline{r}, t) = \sum (\underline{a}_{DC} + \underline{a}_{AC})$$

quasi-
statisch

dynamisch

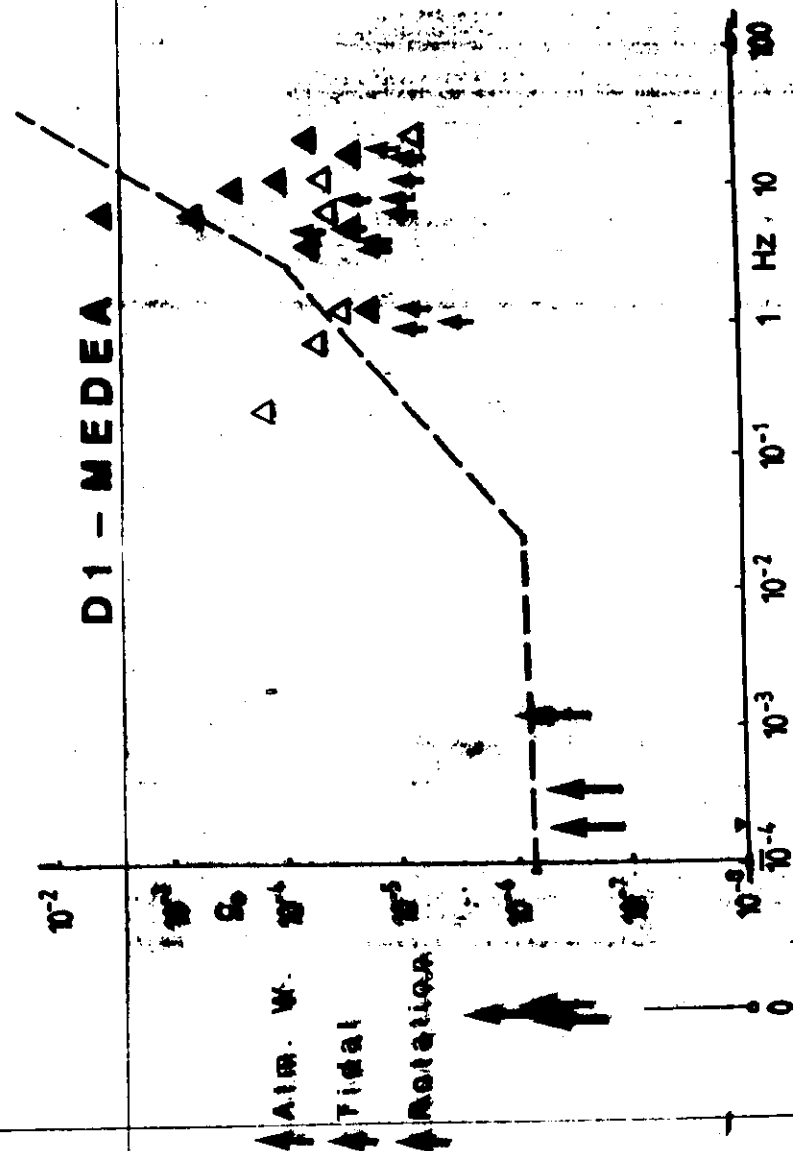
Frequenzspektrum: z.B. $|\underline{a}| = \varnothing(f)$



DFVLR



MIS



● TIME VARYING FORCES

● PERIODIC

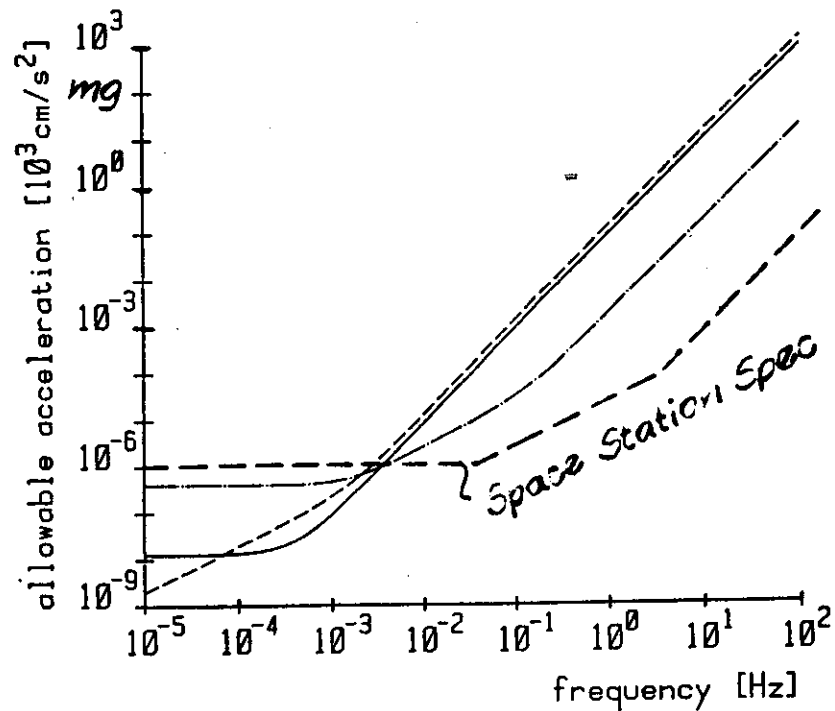
E.G. BY MOTORS
PUMPS
CENTRIFUGES
VESTIBULAR SLED (D1)

● TRANSIENT

E.G. BY THRUSTERS
VALVES
DOORS
DRAWERS
ASTRONAUTS

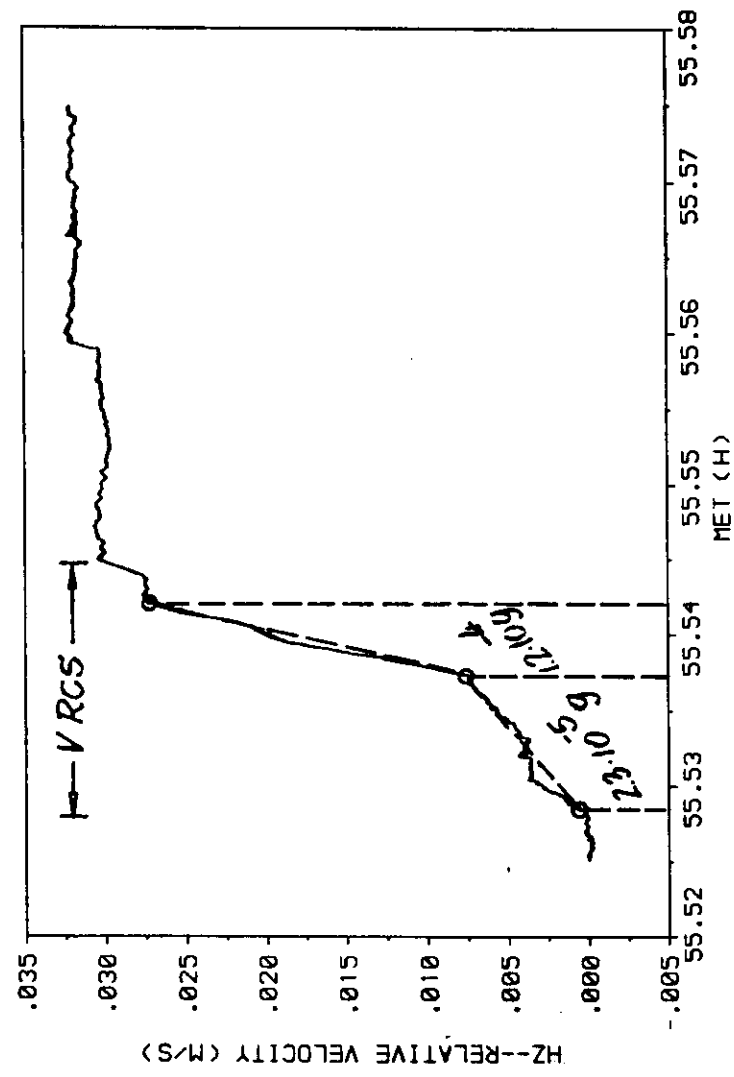
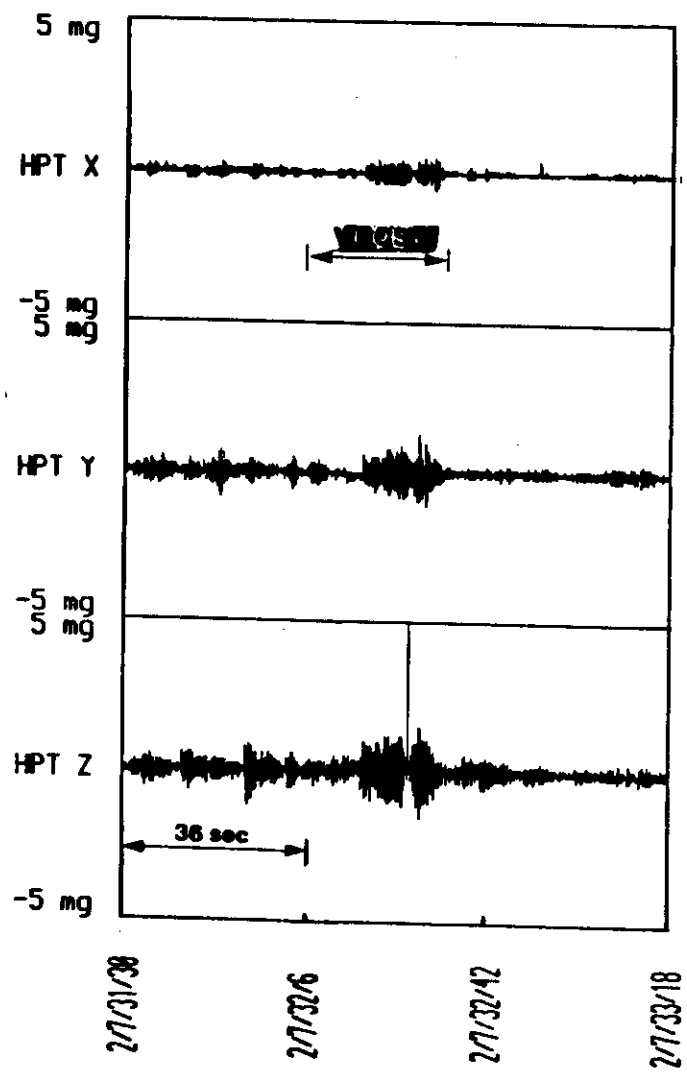
● STOCHASTIC

E.G. BY TURBULENT FLOW
CLEARANCE IN BEARINGS, LOCKERS, ETC.

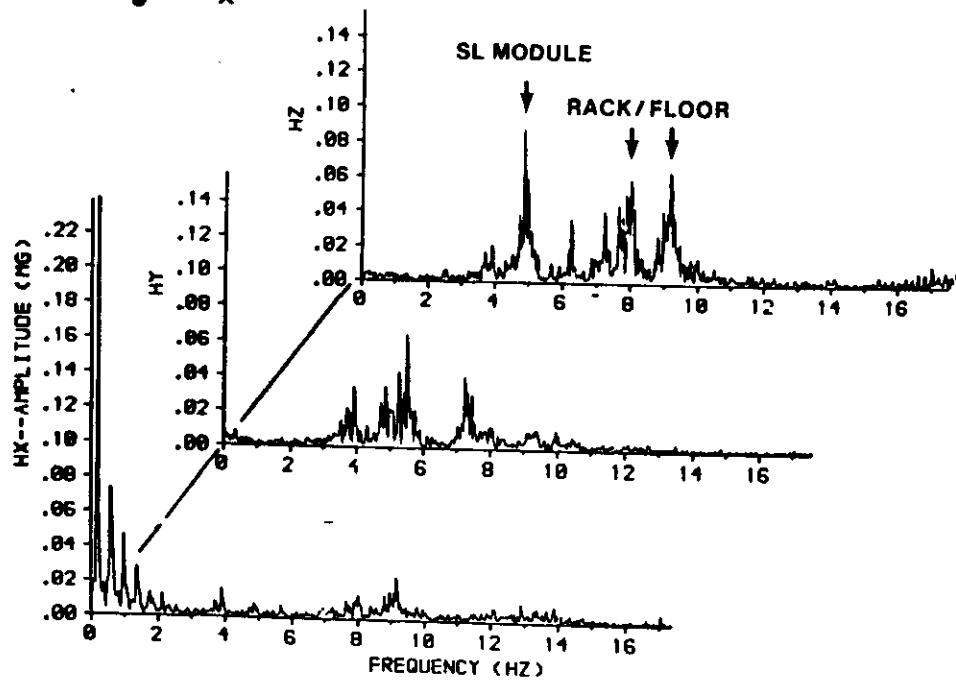
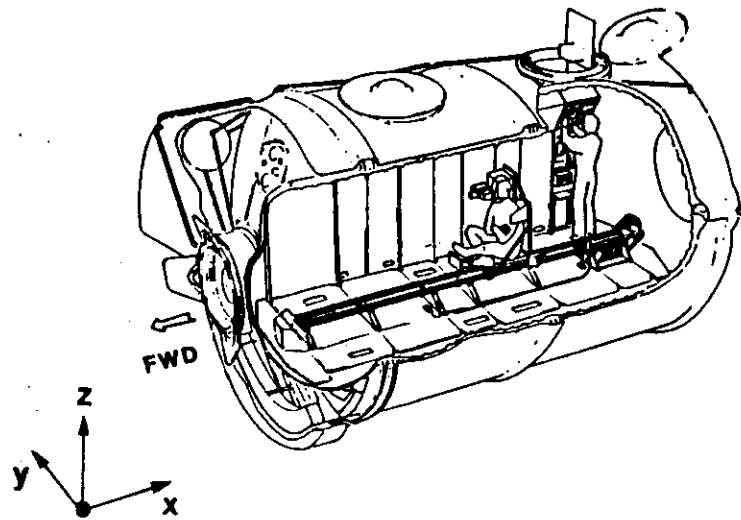


The allowable acceleration in

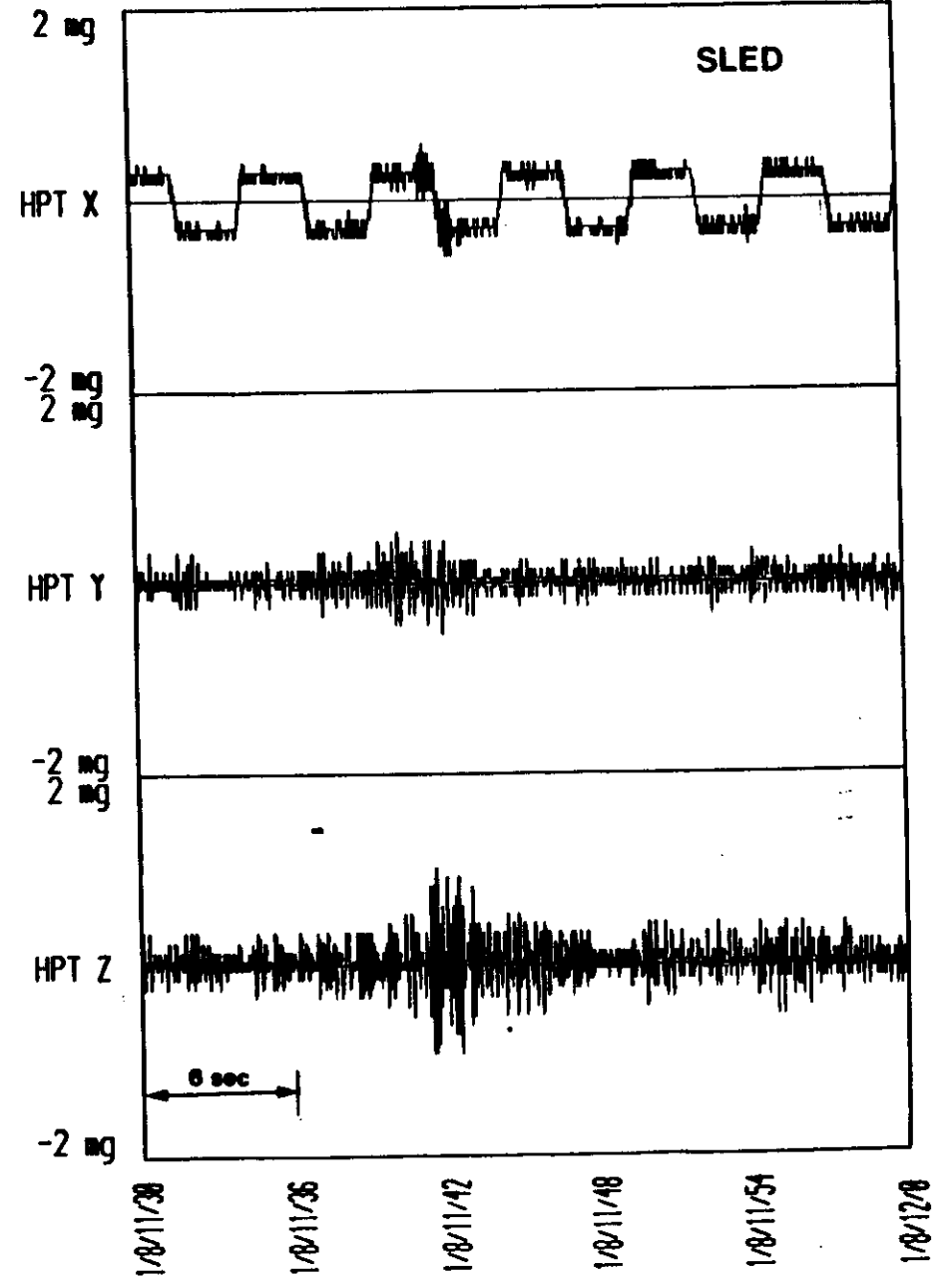
- a) a typical fluid physics experiment requiring a temperature gradient _____
- b) a crystal growth experiment by the THM method _____
- c) an experiment on the Soret effect _____

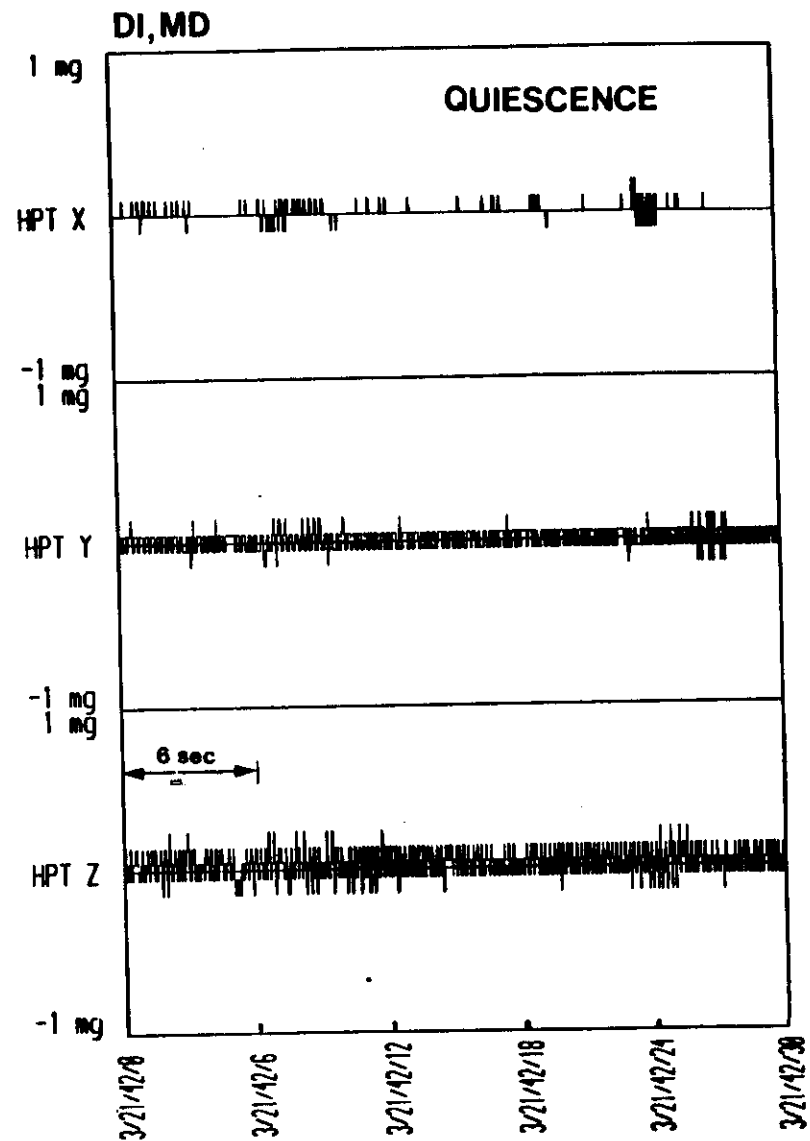
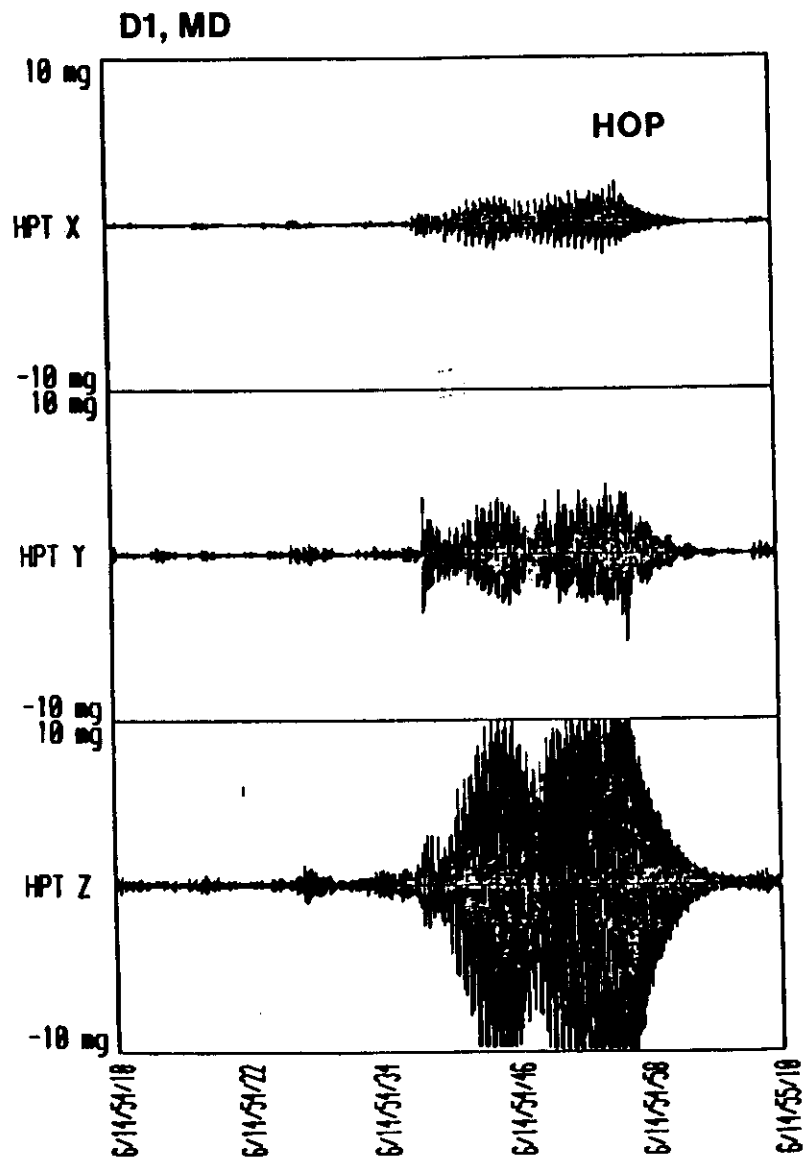


SLED



DI, MD





D-1

