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Please note: These are preliminary notes intended for internal distribution only.

SURFACE TENSION AND ADSORPTION IN METAL-OXYGEN SYSTEMS.

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The surface tension of liquid metals is very sensitive to Oxygen adsorption.

Experimental investigations on Ag, Fe, Ni, Co and Sn have shown that the surface tension of these metals is strongly reduced (even up to 50%) by small oxygen bulk concentrations ($X \ll 0.01\%$).

However, the experimental results are very scanty and refer, practically, only to the systems mentioned above.

It is therefore necessary to look for a theoretical explication of the relationships existing between oxygen surface activity and its solubility.

FOUNDAMENTAL RELATIONSHIPS

-SYSTEM :

Liquid-Vapour

Two components

Equilibrium

Constant volume

Constant temperature

ADSORPTION OF COMP. 2 AT LIQUID-VAPOUR SURFACE

$$\Gamma_2 = \frac{n_2^s}{A} \quad n_2^s = n_{\text{tot}} - n_2$$

-RELATIVE ADSORPTION (independ. of dividing surf.)

$$\Gamma_{2,1} = \Gamma_2 - \Gamma_1 \frac{x_2}{x_1}$$

-SURFACE TENSION (σ) AND SURFACE COMPOSITION ($\Gamma_{2,1}$)

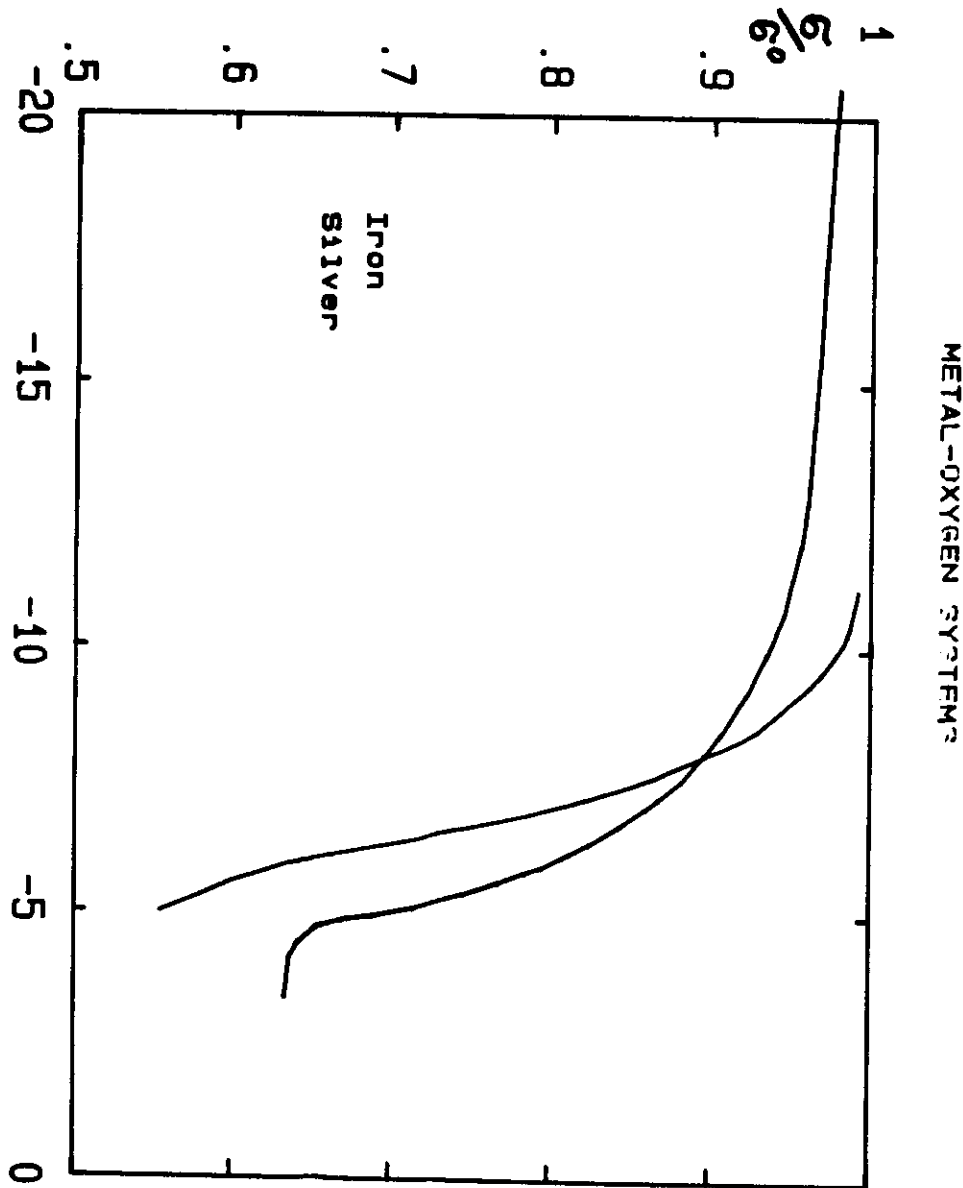
are correlated by GIBBS ADSORPTION ISOTHERM:

$$d\sigma = -s^s dT - \sum_i \Gamma_i d\mu_i \quad , \text{ or, in terms of } \Gamma_{2,1}, \text{ at } T_{\text{const}},$$

$$\Gamma_{2,1} = - \left(\frac{\partial \sigma}{\partial \mu_2} \right)_T = - \frac{1}{RT} \left(\frac{\partial \sigma}{\partial \ln a_2} \right)_T$$

- $\Gamma_{2,1}$ may be obtained from the dependence of the surface tension on the activity of the solute 2 at any given temperature.

This equation is the basis for most adsorption measurements associated with liquid solutions.



MODELS

-THERMODYNAMIC MACROSCOPIC MODELS

-PERFECT SOLUTION MODEL OF AN INTERFACE (=bulk ideal)

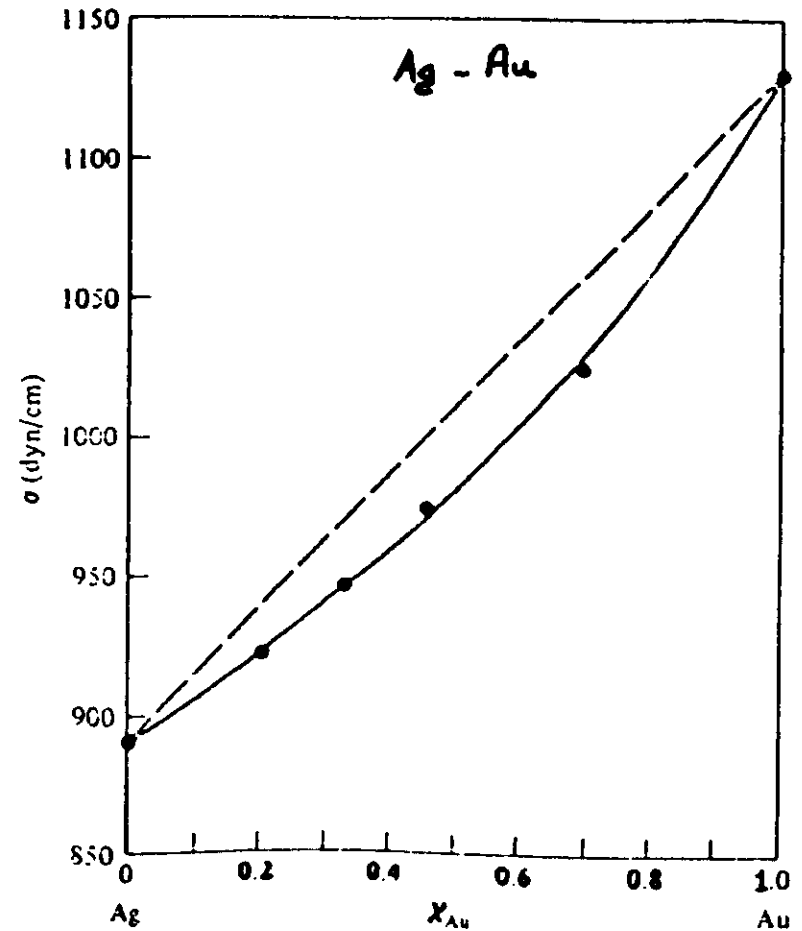
HYPOTHESIS : Interface as a monolayer
 No interactions between atoms
 Atoms of similar size
 Random distribution

This model gives:

$$\sigma = \sigma_i + \frac{RT}{\Omega} \ln \frac{X_i^m}{X_i}$$

The model is valid for some metallic solutions as
Ag-Au , Cu-Ni , Au-Bi, Ge-Bi ,

Generally this model is not satisfactory.



LANGMUIR ISOTHERM MODEL

HYPOTHESIS like model above and
 Number of surf. sites limited

Final equation is:

$$\sigma = \sigma_1 + RT \Gamma_{2,1}^{sat} \ln(1 - \theta)$$

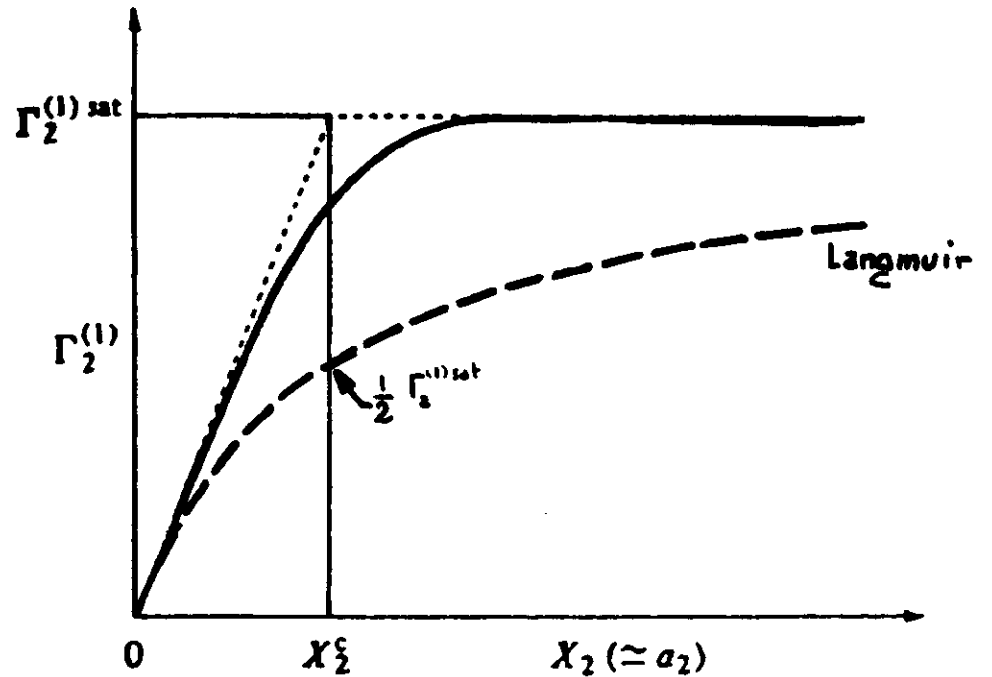
The model is not valid for reactive gases.

In fact for $X_2 = X_{2c}$ -----> $\Gamma_{2,1} = \frac{1}{2} \Gamma_{2,1}^{sat}$

In the cases examined

for $X_2 = X_{2c}$ -----> $\Gamma_{2,1} \gg \frac{1}{2} \Gamma_{2,1}^{sat}$

(see FIG.)



-IMPROVEMENT OF FOWLER-GUGGENHEIM MODEL

HYPOTESIS Monolayer
 Nearest neighbours interactions
 Metal-Oxygen inter. parameters
 from dissolution enthalpy
 Metallic atoms interactions
 from evaporation enthalpy
 Relative adsorption $\Gamma_2 = \Gamma_{2,1}$
 Surface 'exclusion rule'

The energetic term can be written as :

$$\Delta E = 1/2 Z m \epsilon_{2,1} + 1/2 Z l f \Theta (\epsilon_{2,1} - \epsilon_{1,1})$$

and putting

$$1/2 Z \epsilon_{2,1} = -H_{1vap} \quad , \quad 1/2 Z \epsilon_{2,1} - 1/2 Z \epsilon_{1,1} = H_{diss}$$

we obtain:

$$\Delta E = \alpha f \Theta + \beta$$

considering the adsorption reaction:

$$O_{bulk} + V_{sup} = O_{sup}$$

the 'equilibrium constant' is :

$$K = \frac{\Gamma_2}{a_2 (M - f \Gamma_2)} \exp \frac{-\Delta E}{RT}$$

where M = number of moles of Oxygen
 on a surface monolayer.

$$\Delta E = E_b - E_s$$

f = surface structure coeff.

if a surface compound Me_xO_y can form, then

$$f = (x + y) / y$$

with

$$\beta = (H_{diss} - H_{1vap}) * m$$

$$\alpha = (H_{diss} - H_{1vap} - 1/2 Z \epsilon_{2,1}) * l$$

m = nearest neighbours fraction
across two planes

l = nearest neighbours fraction
in the plane

Z = coordination number

Putting in the 'equilibrium constant' the value obtained from Gibbs adsorption equation, we get

$$* \quad d\sigma = -RTM \frac{K d\theta}{K\theta + \exp\left(-\frac{\Delta E}{RT}\right)}$$

This equation may be integrated taking into account:

- a) A linear variation of the energetic term with $\theta = \Gamma_2/M$
- b) $f = \text{constant}$

The integration leads to the final formula :

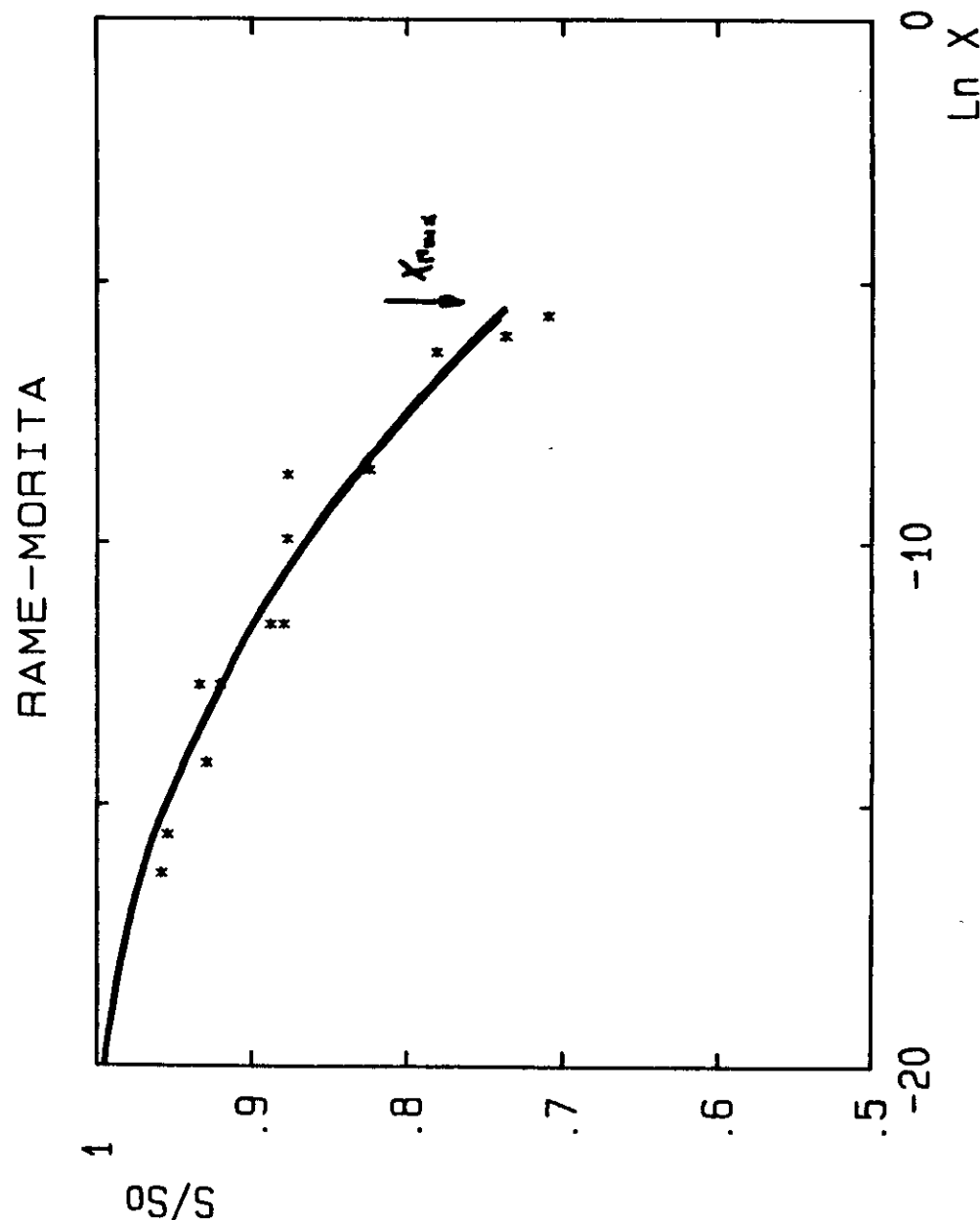
$$** \quad \sigma = \sigma^0 + RTM \left\{ \frac{\alpha f \theta^2}{2RT} + \frac{1}{f} \ln(1-f\theta) \right\}$$

where σ^0 = surface tension of the pure metal

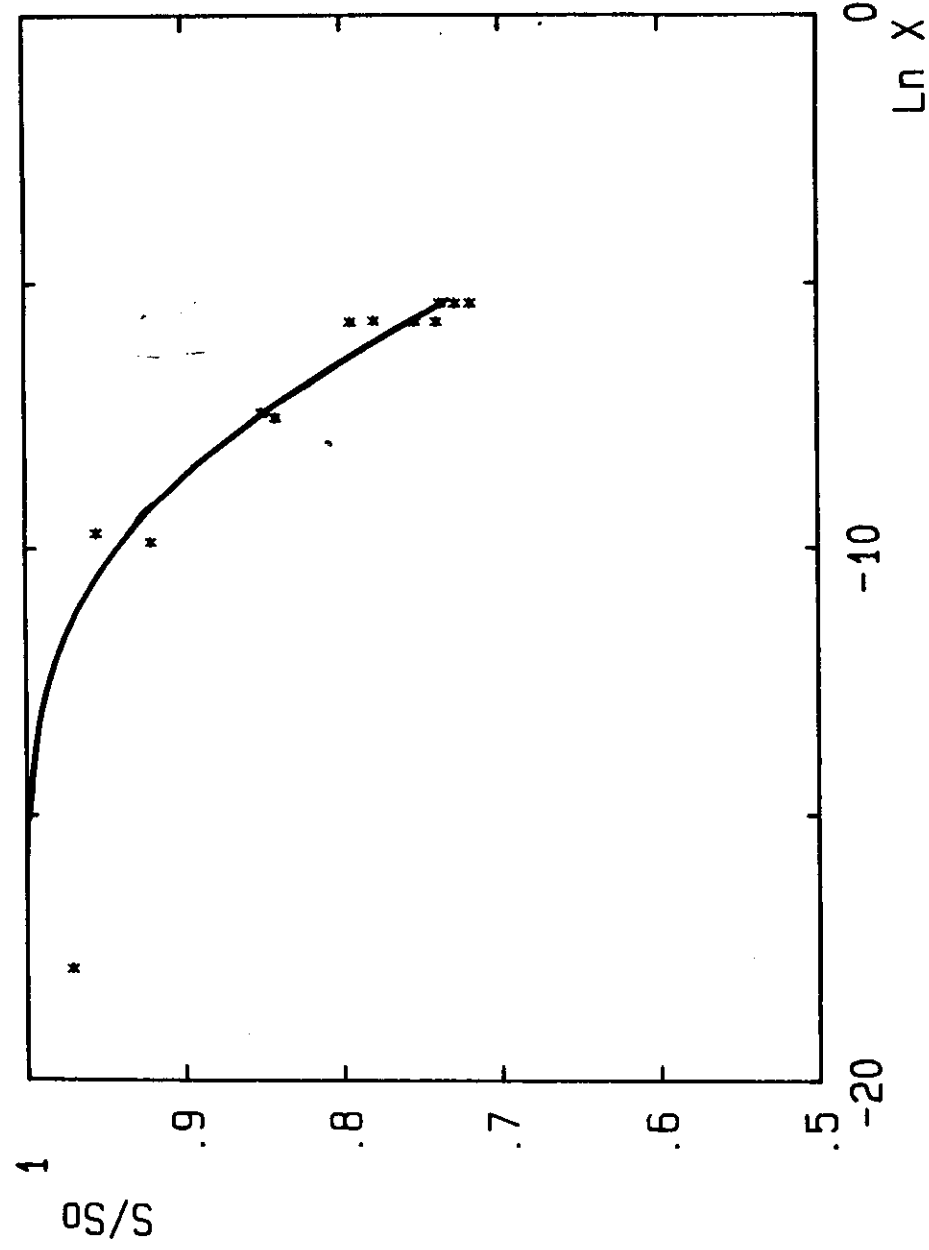
Equation **: 1)

shows the variation of surface tension with adsorption.

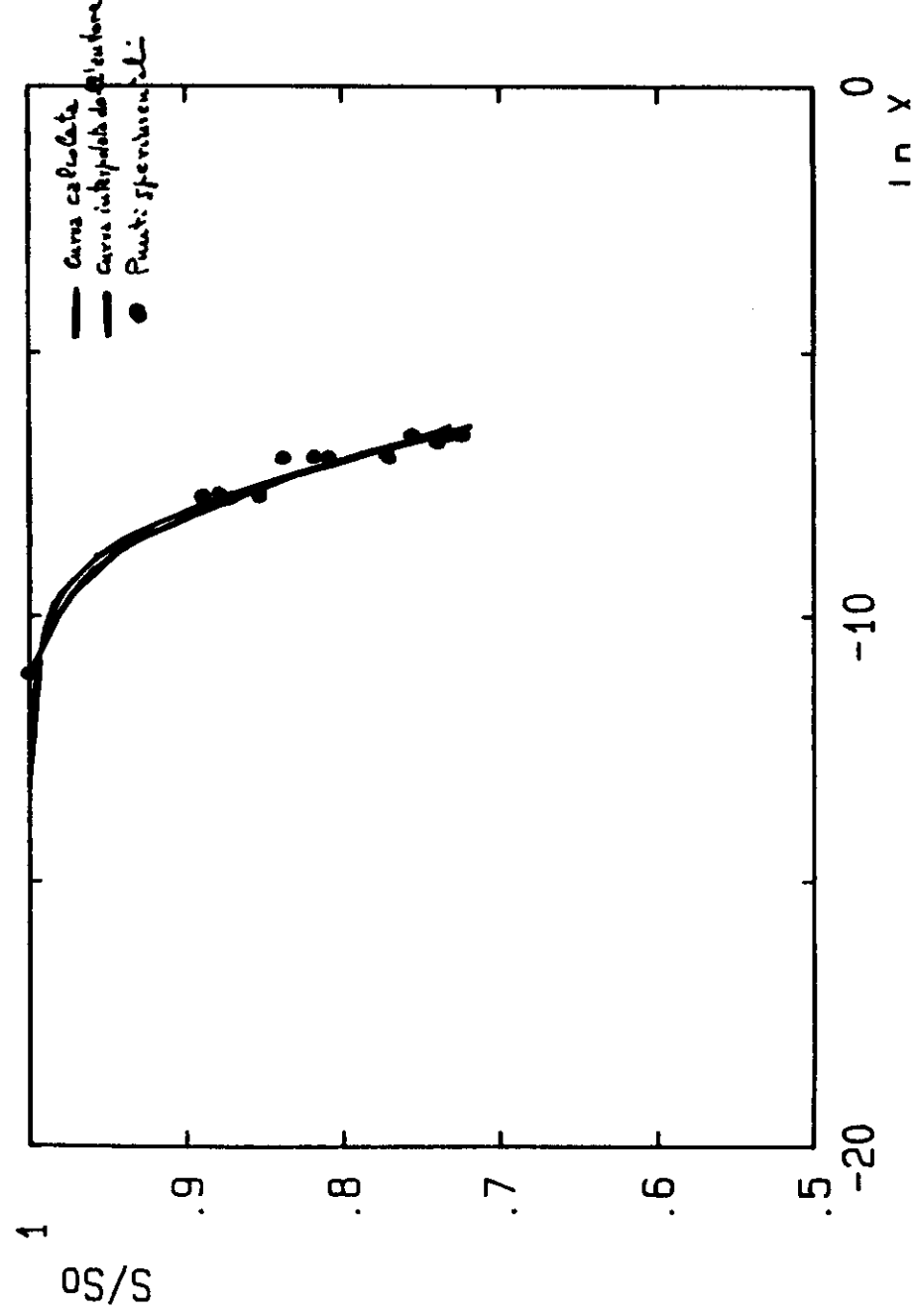
2) allows the evaluation of α, f, K from experimental data to be made.



ARGENTO-PASS.



Ferro Kasama exp.



An analysis of equation * shows that, being always $d\theta/d\theta < 0$, it is:

$$\alpha < \frac{RT}{f\theta(1-f\theta)} = 4RT)_{\max}$$

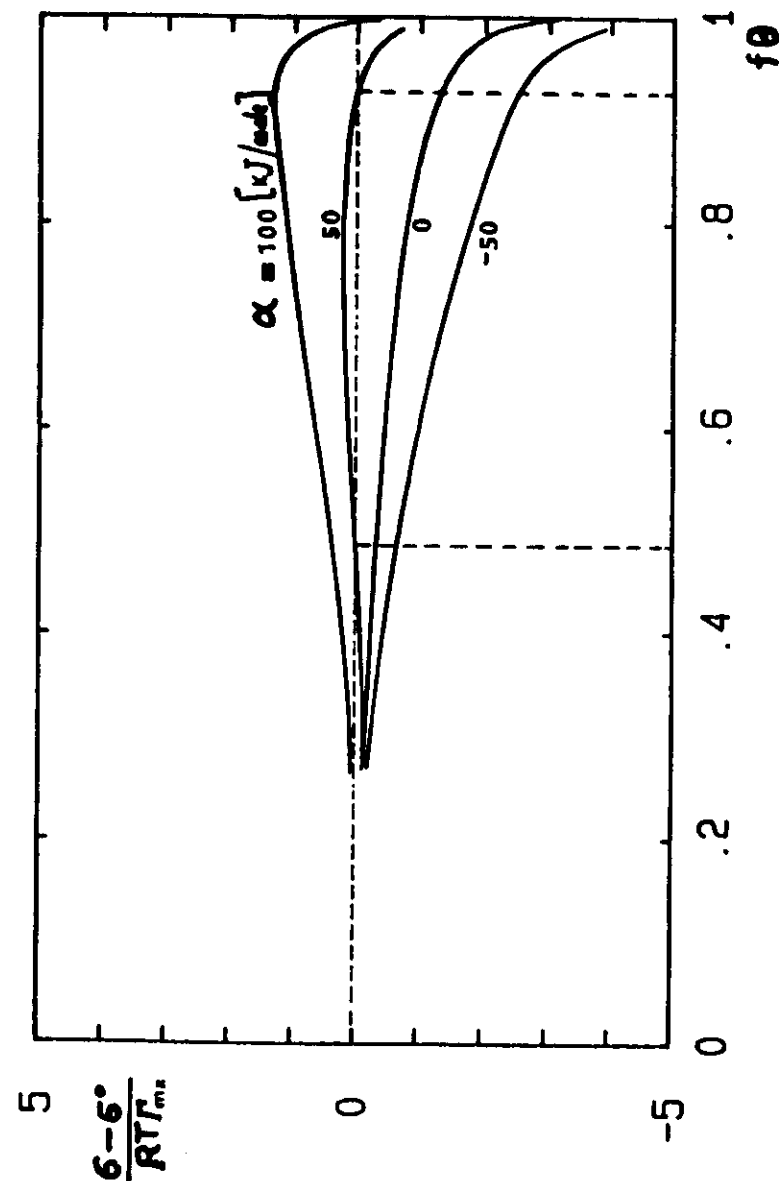
If $\alpha > 4RT$ then a surface miscibility gap is obtained between the values :

$$\frac{1}{2f} \left[1 - \sqrt{1 - \frac{4RT}{\alpha}} \right] < \theta < \frac{1}{2f} \left[1 + \sqrt{1 - \frac{4RT}{\alpha}} \right]$$

From experimental data, using a non linear fitting, values of α , f , K have been obtained:

System δ_2	α kJ/mole	$-\frac{1}{2} \sum E_{\delta_2}$ kJ/mole
Cu	57	497
Fe	21	496
Co	3	502
Ni	36	526
Ag	23	319

The table shows that the value of inter.parameter between oxygen atoms, is quite near to the value of the dissociation energy of oxygen : 493579 J/mol.



For values $X_{f_{max}} < x < X_{sat}$ the model is not valid

because $\Gamma_{2,1} \neq \Gamma_2$

Beyond $X_{f_{max}}$, the surface concentration is constant but

Up to X_{sat} , bulk concentration varies.

By integration of:

$$-RT \Gamma_{2,1} = \frac{d\sigma}{d \ln a_2} = -RT \left\{ \Gamma_2 - \frac{X_2}{X_1} \Gamma_1 \right\}$$

where $\Gamma_2 = \Gamma_{2_{max}}$
 $\Gamma_1 = \Gamma_{1_{max}}$

We get the final formula:

$$\sigma = \sigma_{f_{max}} + RT \Gamma_{2_{max}} \ln \frac{X_{f_{max}}}{X} + RT \Gamma_{2_{max}} \frac{1 - X_{sat}}{X_{sat}} \ln \frac{1 - X_{f_{max}}}{1 - X}$$

This equation, written for $X = X_{sat}$,

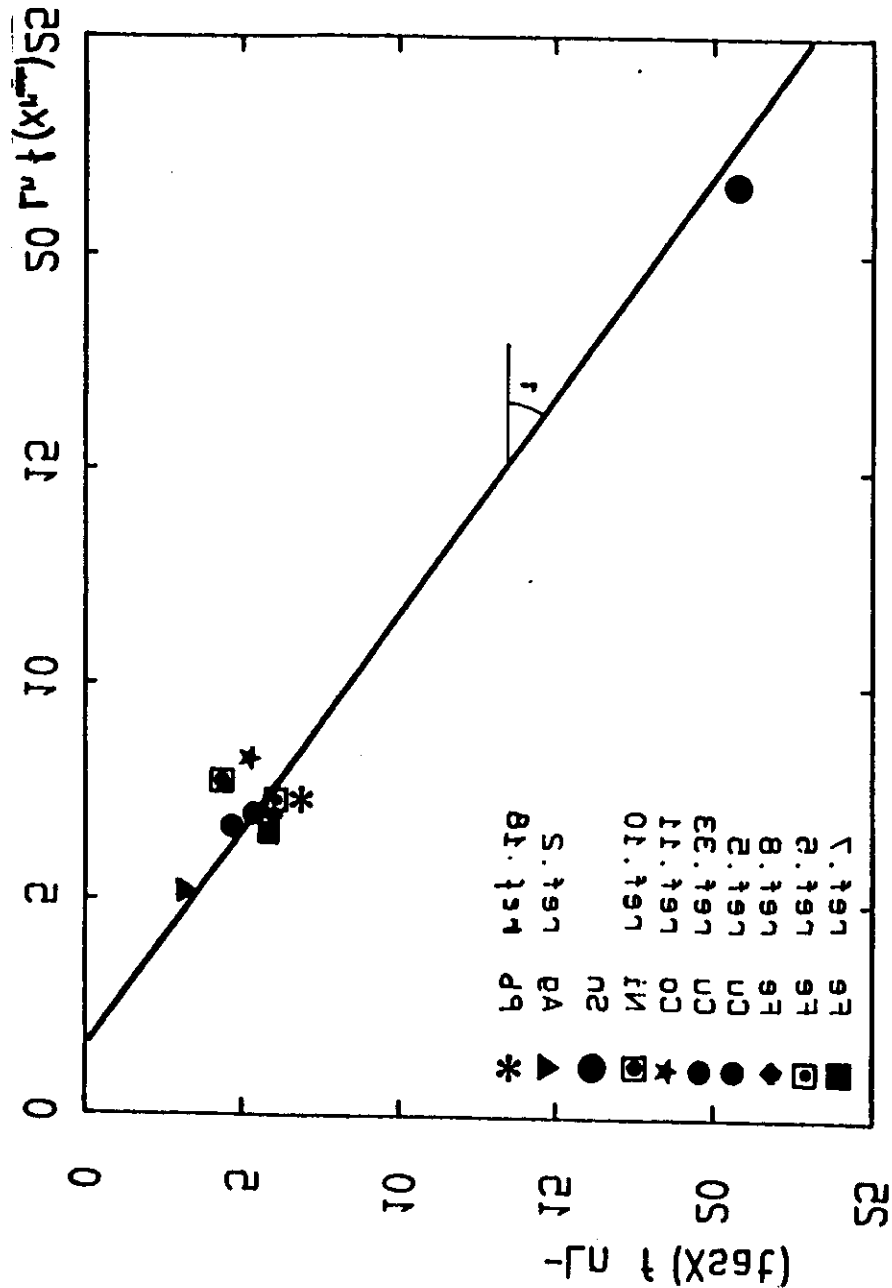
yields :

$$\ln \left[x_2 (1 - x_2)^{\frac{1 - X_s}{X_s}} \right] = \ln \left[X_{f_{max}} (1 - X_{f_{max}})^{\frac{1 - X_s}{X_s}} \right] + \frac{\sigma_{f_{max}} - \sigma_{sat}}{RT \Gamma_{2_{max}}}$$

that for $X \ll 1$ gives :

$$\ln \frac{X_{sat}}{X_{f_{max}}} = 3 + 0.5$$

This last formula allows an A PRIORI estimation of the composition necessary to reach the maximum value of oxygen surface coverage.



CONCLUSIONS

- INFLUENCE OF OXYGEN ON SURFACE TENSION OF PURE LIQUID METALS IN THE COMPOSITION RANGE $0 < X < X_{sat}$
- BEST FIT OF EXP. DATA UP TO X_{max} WITH THE MODIFIED FOWLER GUGGENHEIM ISOTHERM
- ADSORPTION ENERGY DEPENDS ON BULK THERMODYNAMIC PROPERT.AND , WHICH DEPENDS ON 'SURFACE COMPOS.'
- INTRODUCTION OF A 'SURFACE STRUCTURE COEFF.' TAKING INTO ACCOUNT THE STOICHIOMETRY OF ALL POSSIBLE OXIDES.
- THE MODEL SHOWS THAT :

- 1) VERY SMALL VARIATIONS IN SURF. TENSION VALUES CAUSE CONSIDERABLE CHANGES IN THE VALUES.



absolute need for much more accurate surf.tenz. measurem. and for determinat. on a larger number of systems.

- 2) SOME GENERAL RULES EXIST TO ESTIMATE X AND THE RELATIVE MAGNITUDE OF and FOR ALL METAL SYSTEMS.

