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INTERNATIONAL CENTRE FOR THEORETICAL PHYSICS
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**WINTER COLLEGE ON
HIGH RESOLUTION SPECTROSCOPY**

(8 January - 2 February 1990)

NEW MECHANISMS FOR LASER COOLING

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Gaithersburg, MD 20899
U.S.A**

New Mechanisms for Laser Cooling

The "new" optical molasses

- Simple theory predicts $k_B T \geq \frac{\hbar \Gamma}{2}$.
- Experiments show $k_B T \ll \frac{\hbar \Gamma}{2}$.
- Obvious "improvements" in the theory only make things worse.
- Sensitivity to polarization and to magnetic field suggests that magnetic sublevels are involved.

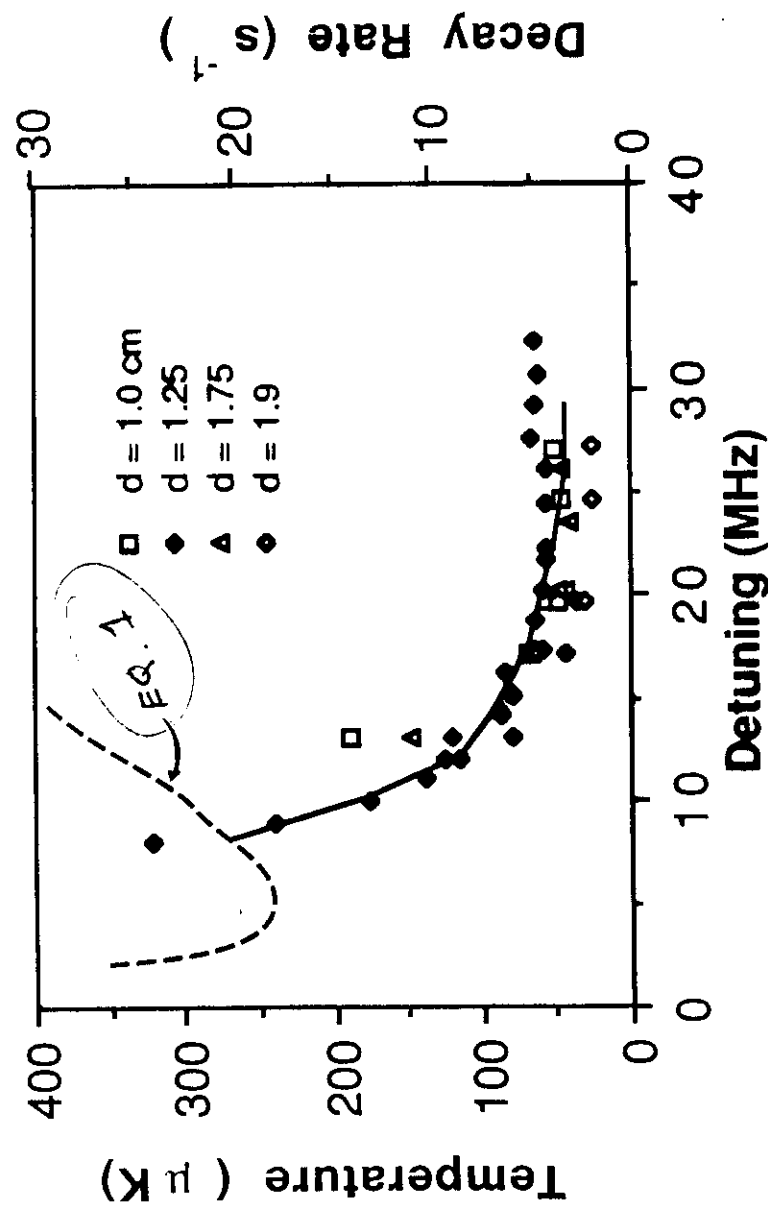
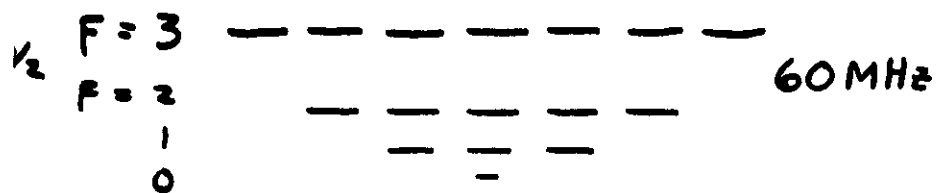


Fig. 2: Molasses temperature by the TDF method for various detunings and separations, d . The solid curve is the measured molasses decay rate; it is not a fit to the temperature data. The dashed line shows the expected temperature, Eq. (1).

Na Level Structure



1772 MHz



A new kind of laser cooling

Theory due to:

Dalibard and Cohen-Tannoudji ENS

Chu et al. Stanford

The new cooling depends on:

- multiple, degenerate ground states
- optical pumping between ground states
- light shifts of ground states
- polarization gradient of the light

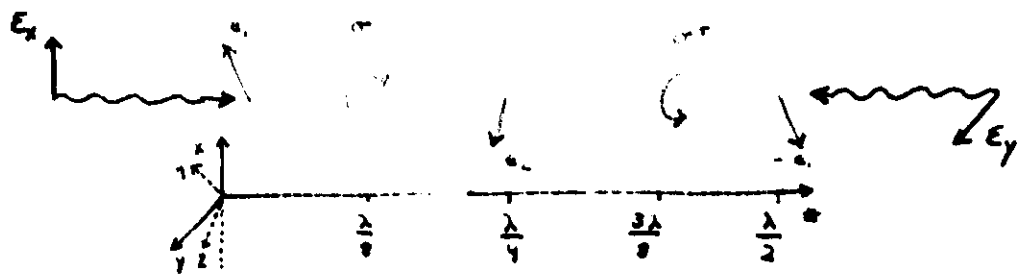
General consideration: $k_B T \sim \hbar / \gamma$

where γ is the characteristic time.

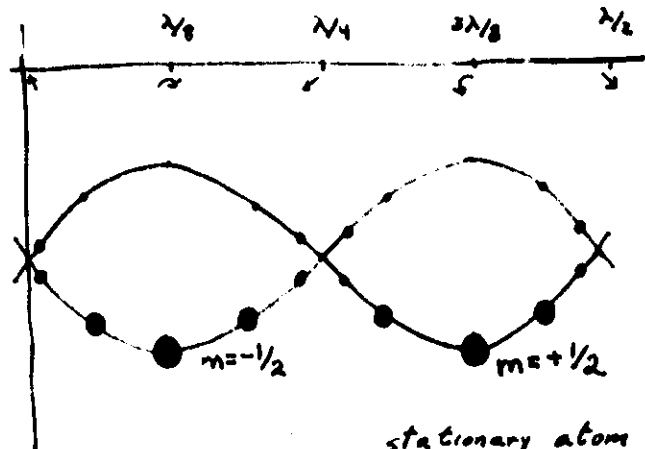
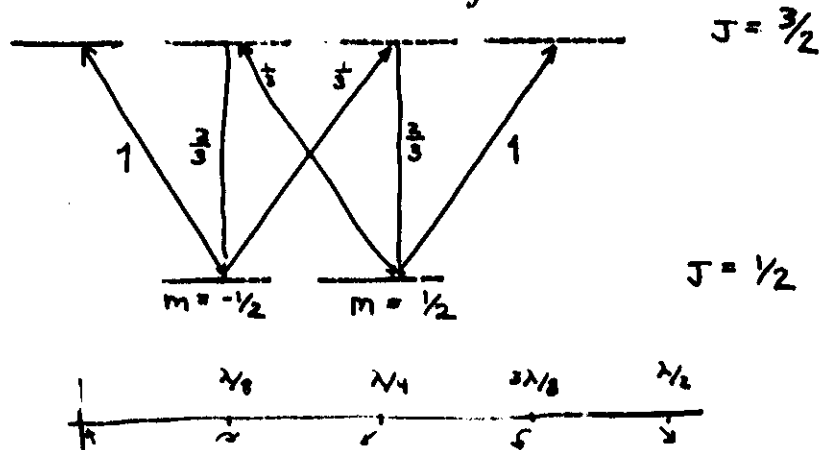
if γ is the natural lifetime: Doppler cooling limit

if γ is an optical pumping time: new cooling

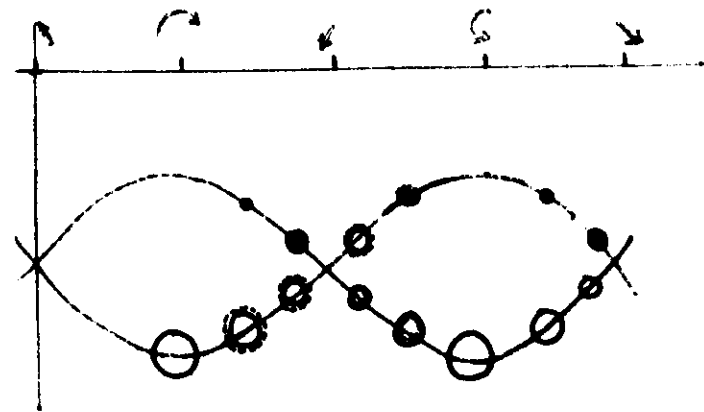
Gradient of Polarization



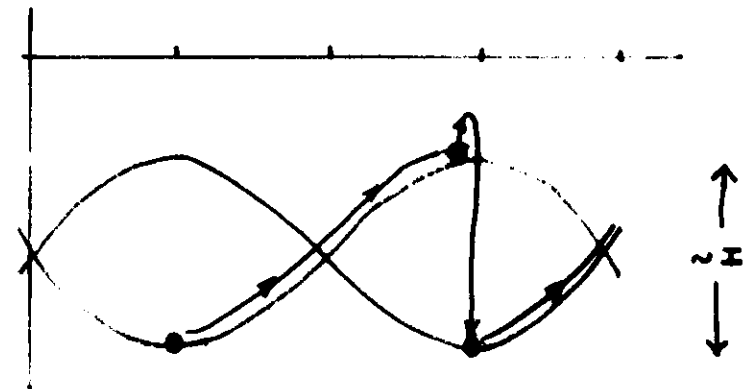
transition strengths



stationary atom populations



moving atom population lag



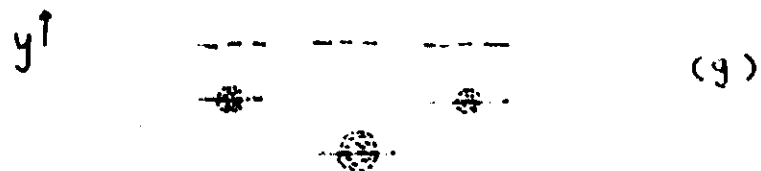
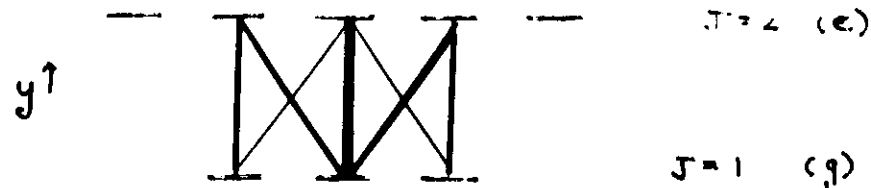
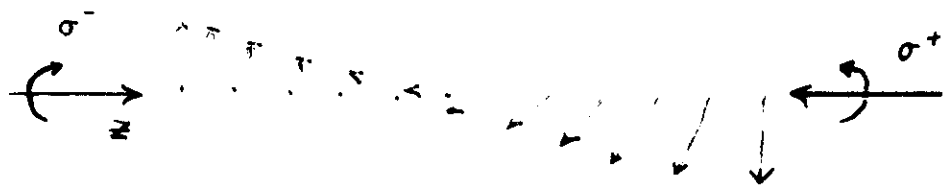
"Sisyphus" cooling

$$F \propto v \quad (\text{friction})$$

friction coefficient independent of intensity

$$\text{light shift} \sim I ; \text{lag} \sim \tau \sim \frac{1}{\Gamma}$$

POLARIZATION GRADIENT COLLIM. $\sigma^+ \cdot \sigma^-$



POLARIZATION GRADIENT COLLIM. $\sigma^+ \cdot \sigma^-$

$$\text{FORCE} \propto (\text{POP. DIFF.}) \times (\text{INTENSITY})$$

$$(\text{POP. DIFF.}) \propto (\text{VEL.}) \times \left(\frac{1}{\Delta} \sim \frac{1}{\text{INTENS.}} \right)$$

so:

$$\text{FORCE} \propto \text{VELOCITY} \quad (\text{FRICTION})$$

Independent of Intensity

(not like Doppler Cooling)

(Something for Nothing?)

$$\text{No!} \quad \hbar \nu < \Delta \sim I \Rightarrow$$

velocity "capture" range $\sim I$.

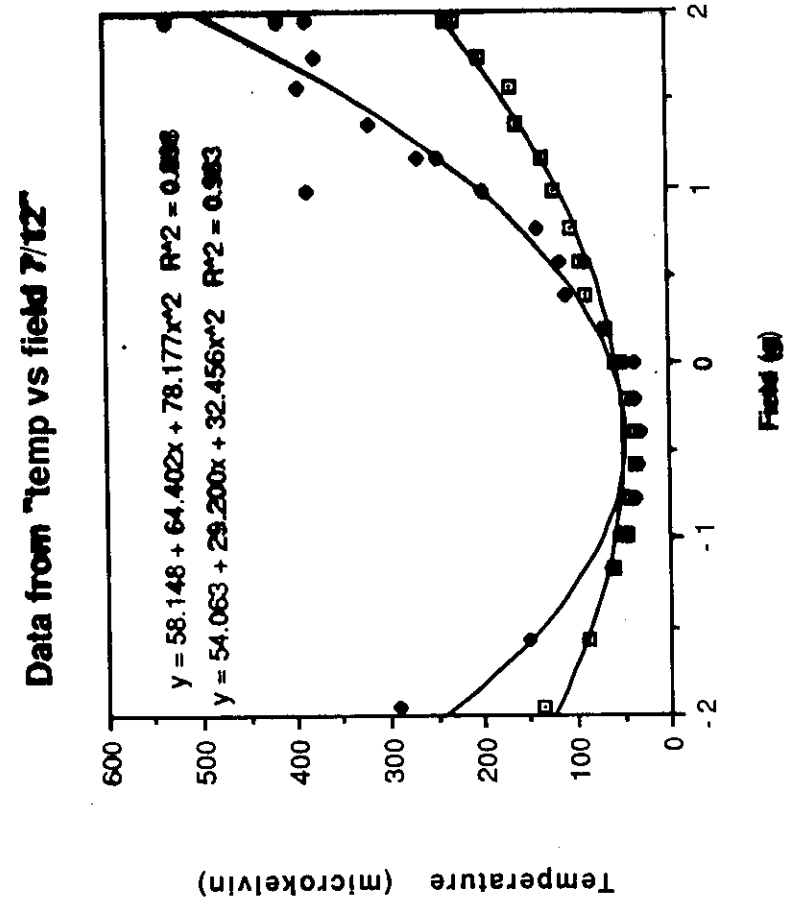
But: Heating $\sim I$, so

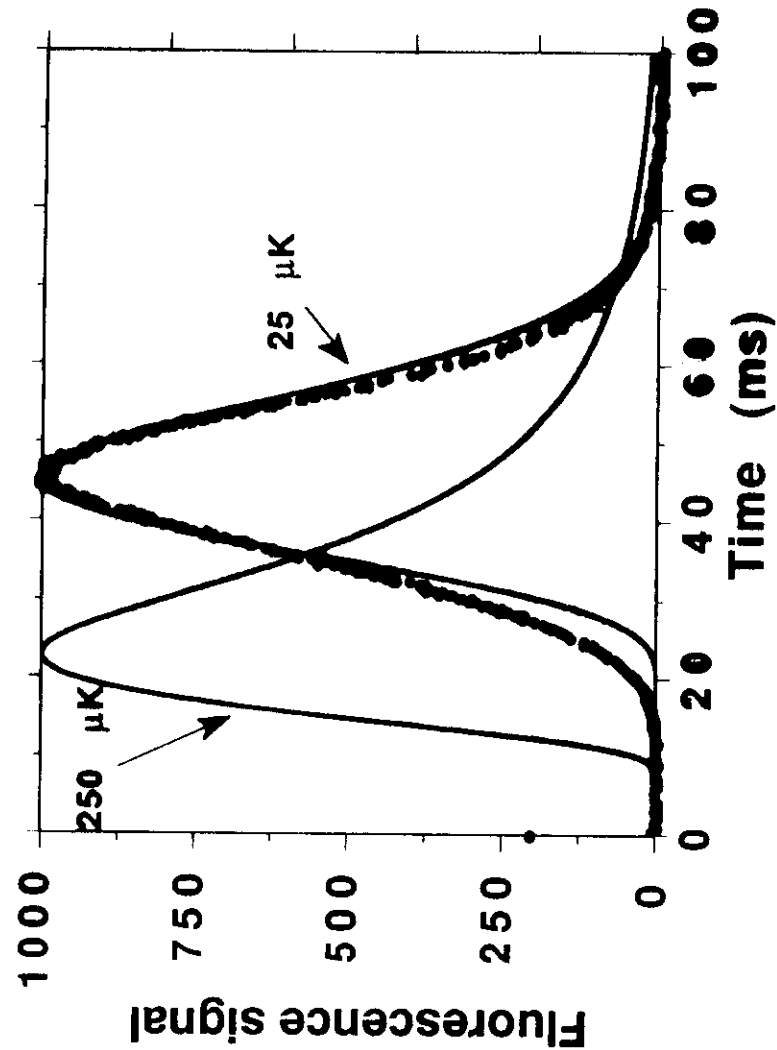
$$T \sim \frac{1}{I}$$

Predictions of Polarization Gradient Cooling

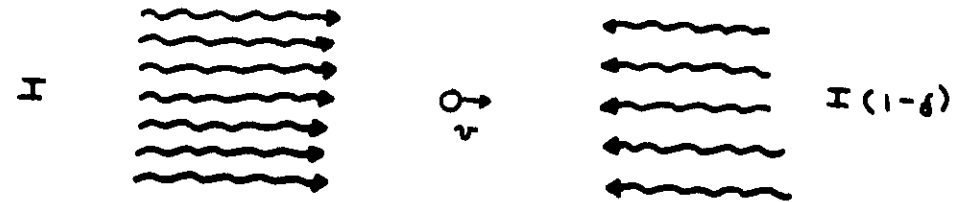
- $T < T_{\text{Doppler}}$
- $T \sim \frac{1}{I}$
- Polarization of Light is important
- Mixing of Sublevels (as with $\vec{B}$) should hurt cooling.
- Very strong friction force

⑥





Effect of Imbalance



estimate v :

$$F_{\text{unbal}} + F_{\text{scat}} = 0$$

$$\delta \frac{\hbar \hbar \gamma}{4} - \frac{\hbar \hbar^2 v}{4} = 0 \Rightarrow v = \delta \frac{\gamma}{\hbar}$$

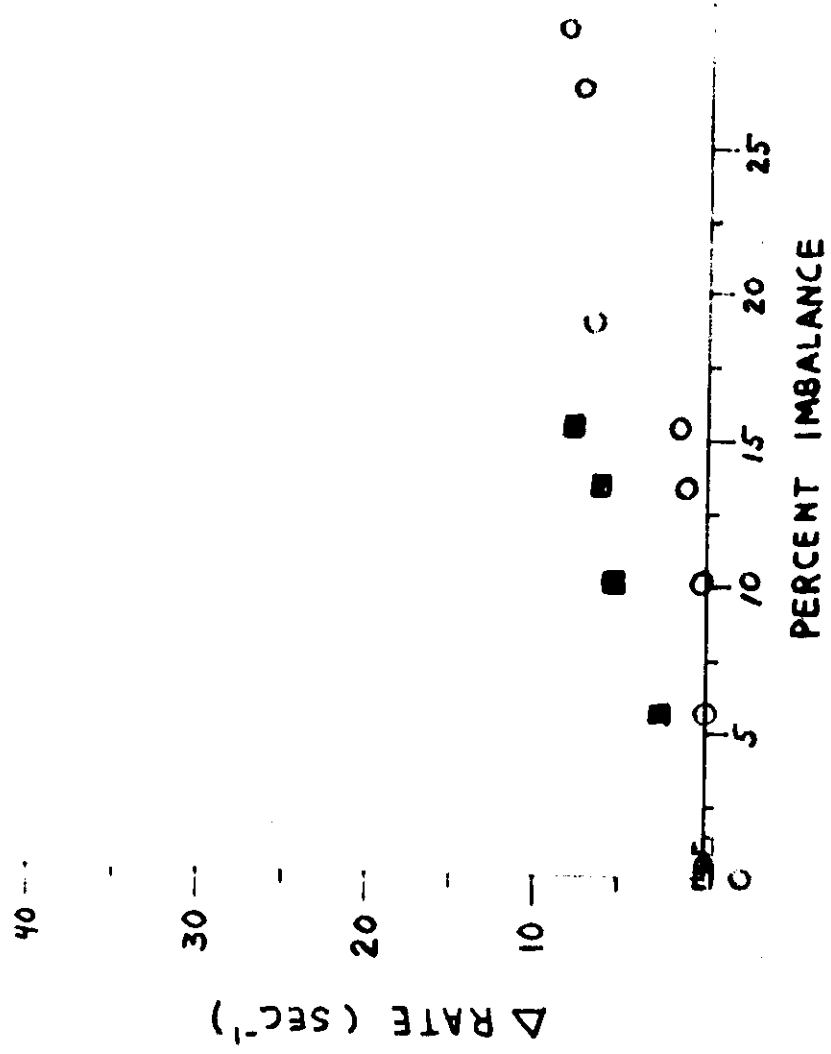
$$v/\hbar = 6 \text{ m/s}$$

$$\text{exact: } v = \frac{\delta \gamma}{4\hbar} \frac{\frac{1}{4}(1 + I/I_0) + \Delta^2/\gamma^2}{\Delta/\gamma}$$

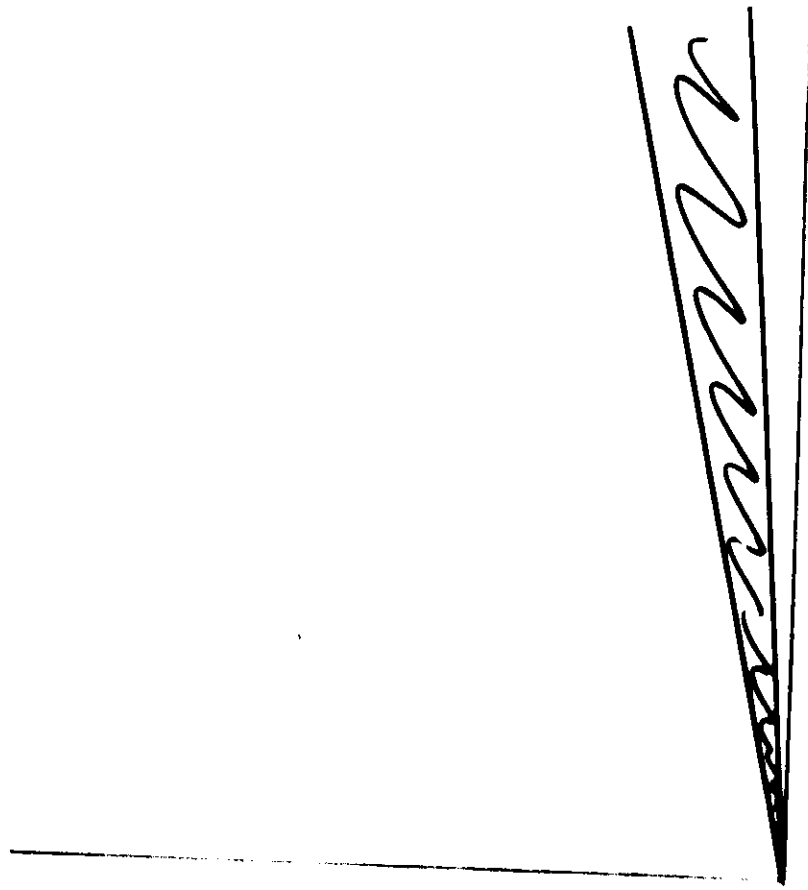
For optimum no losses ($I/I_0 = 1$, $\Delta = \gamma/2$)

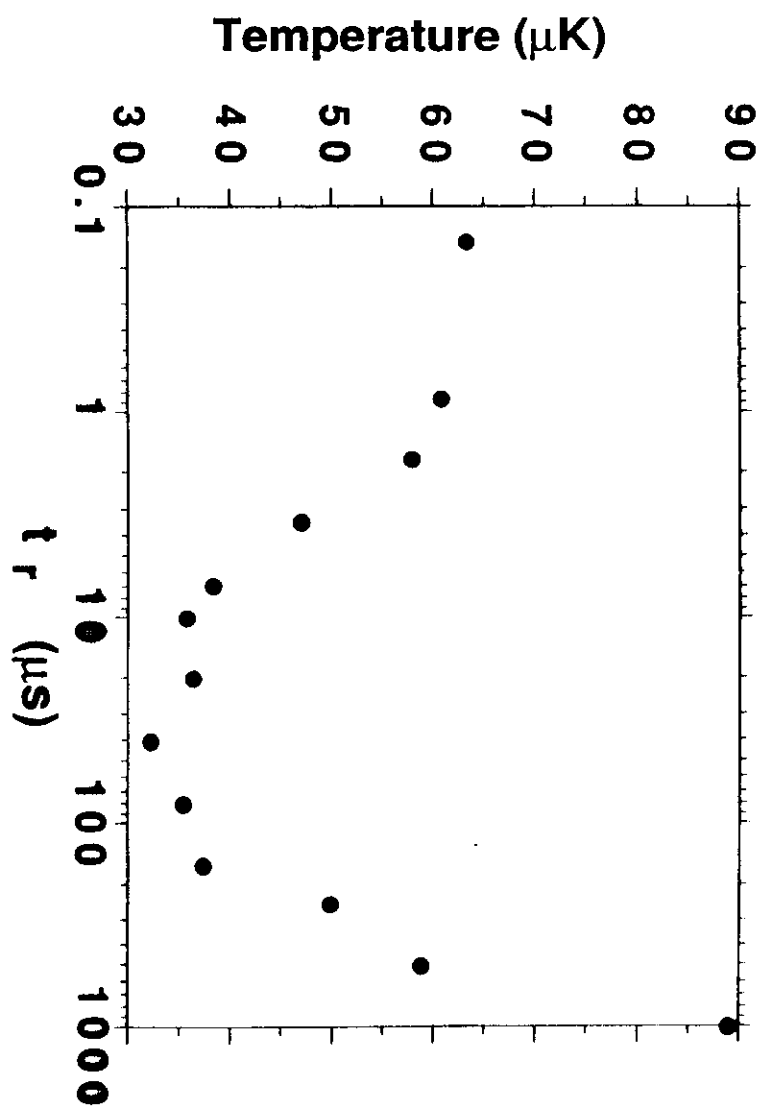
$$v_{\text{drift}} = (2.2 \text{ m/s}) \delta$$

10% imbalance $\Rightarrow$ 23 ms lifetime in 5 μm



noleses decay rate changes vs. imbalance ① expt.





mass delay vs. imbalance ② - classical theory

no separation
 $\Delta E = 0$
 $\Delta E = 0$
 $\Delta E = 0$
 $\Delta E = 0$

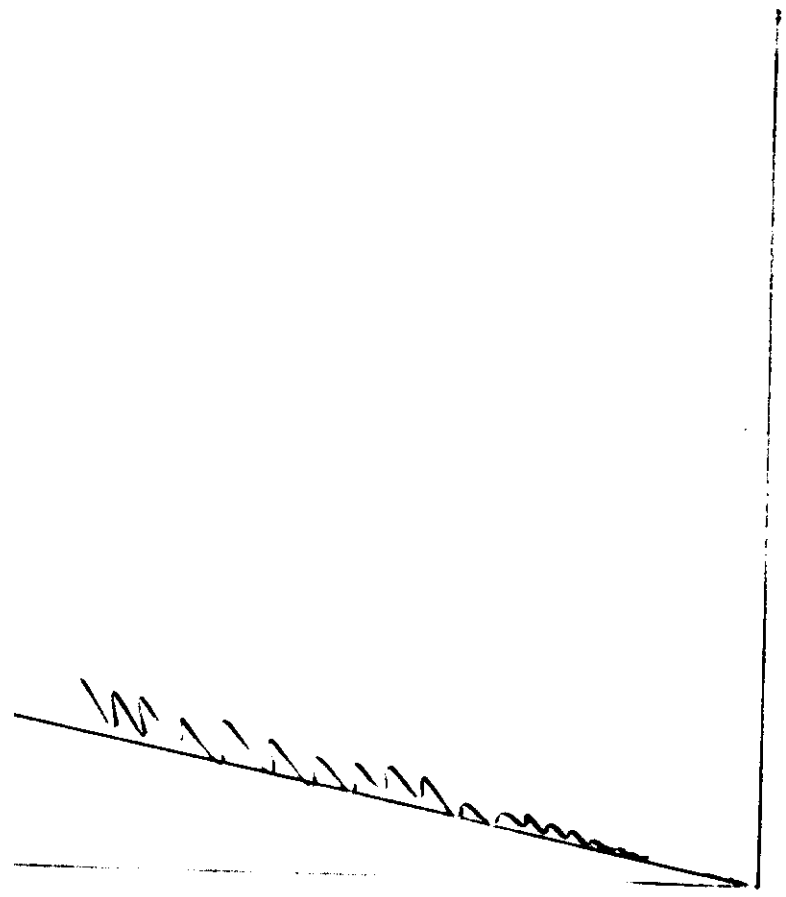


Fig 18

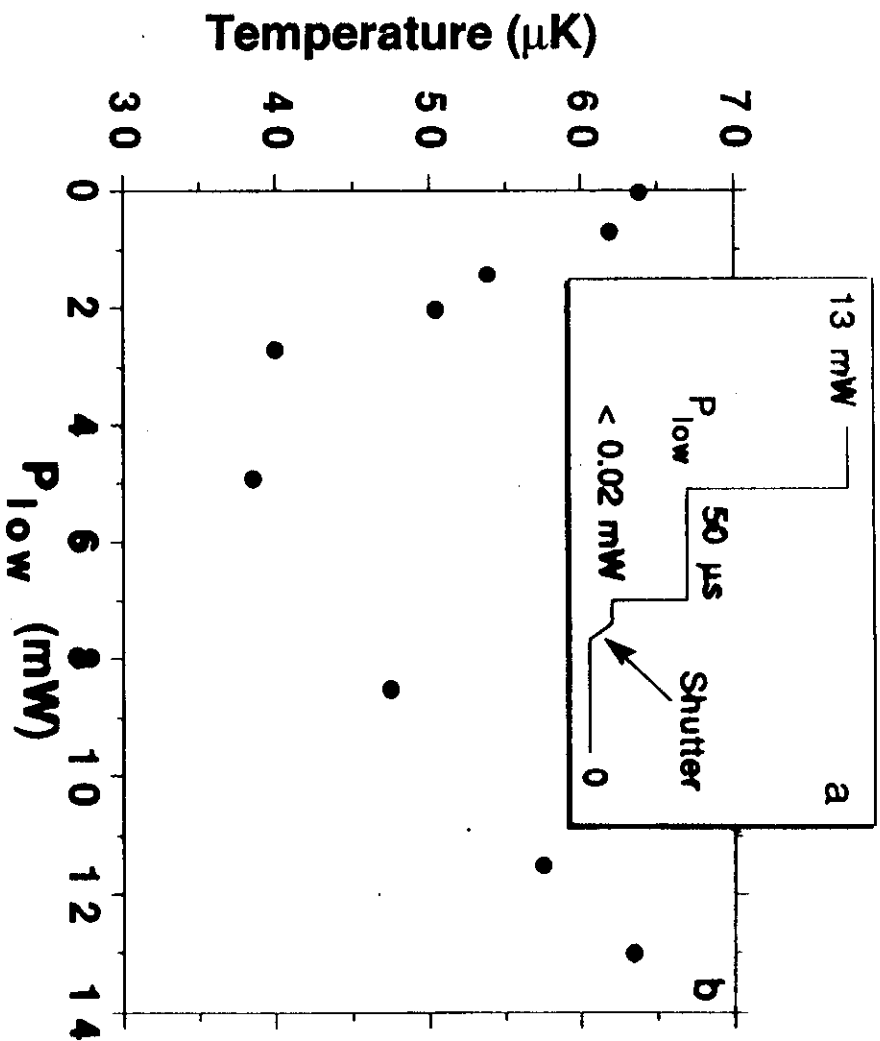
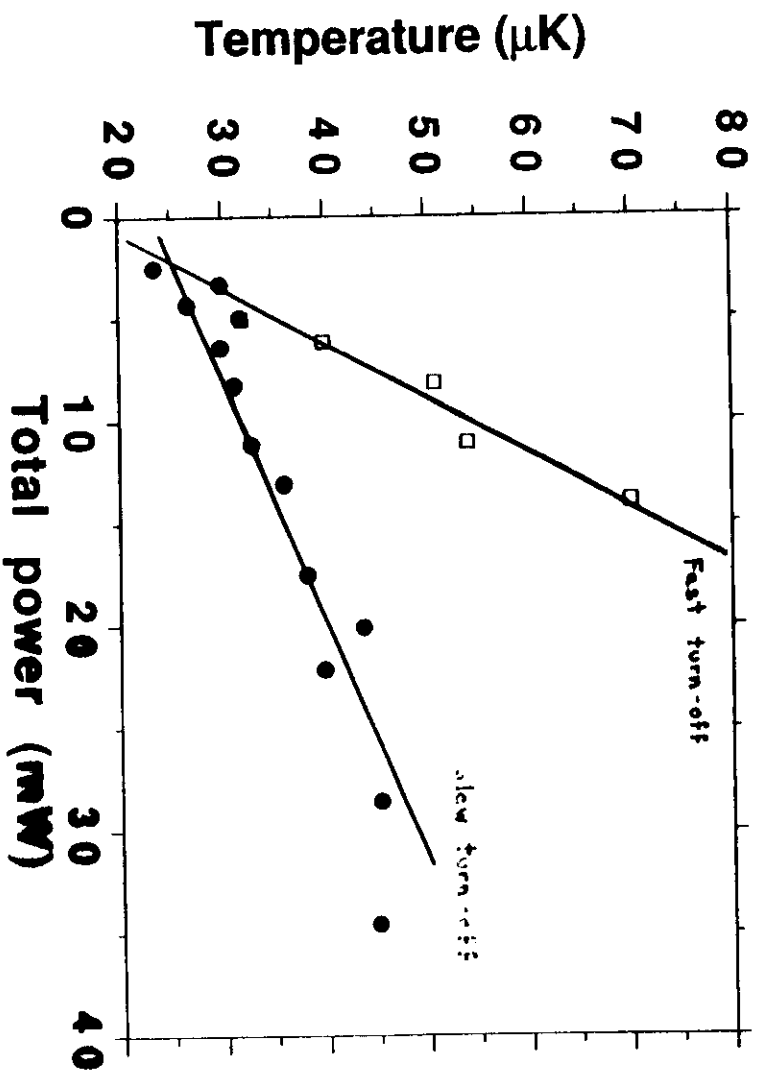
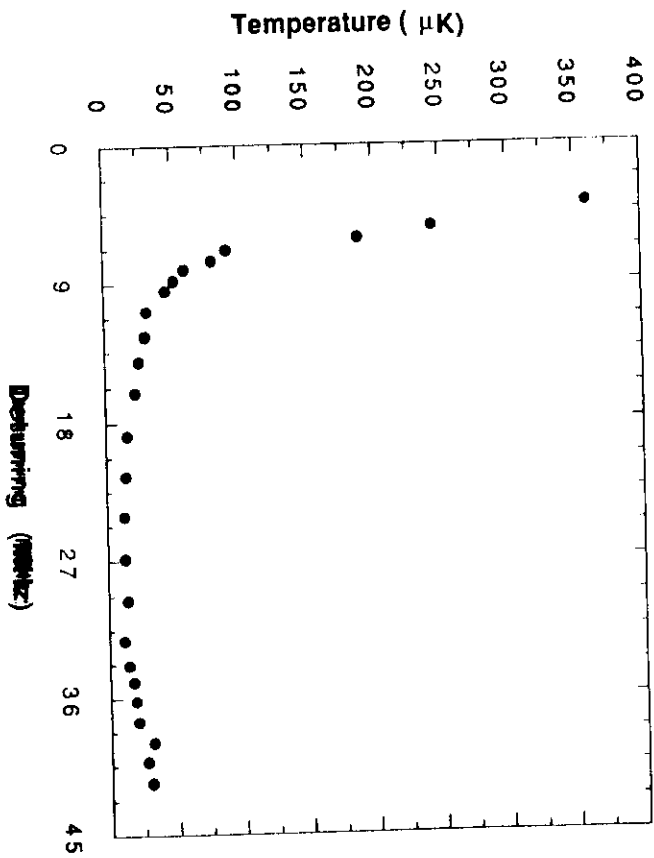


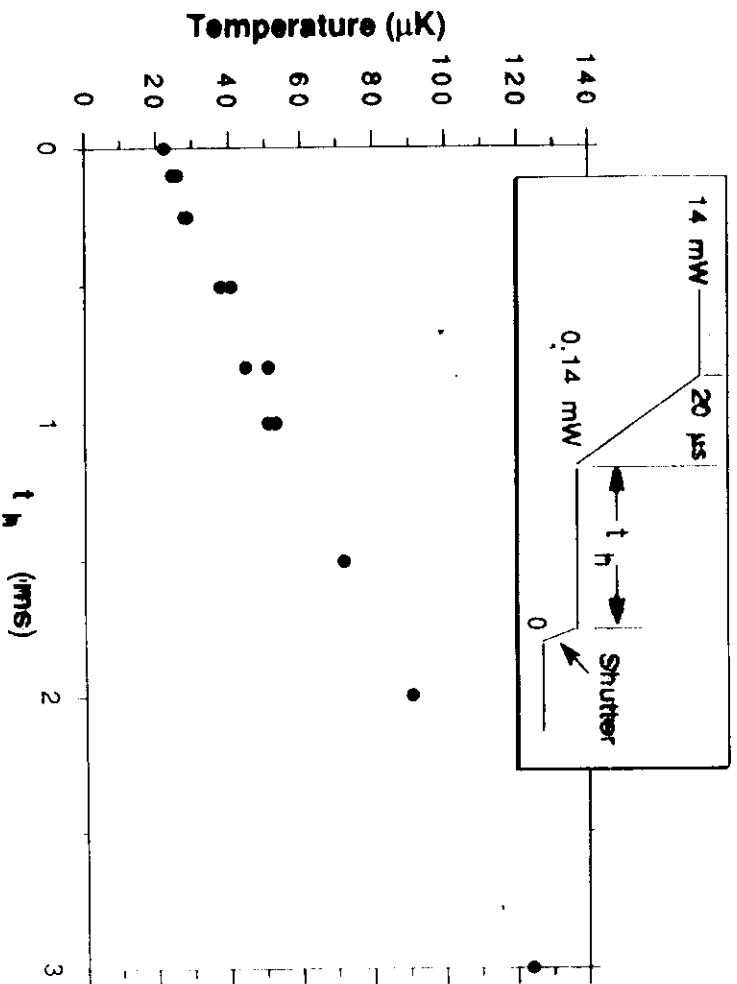
Fig 17



Results for Na - F_{1,2} level too close; Cs is better



?



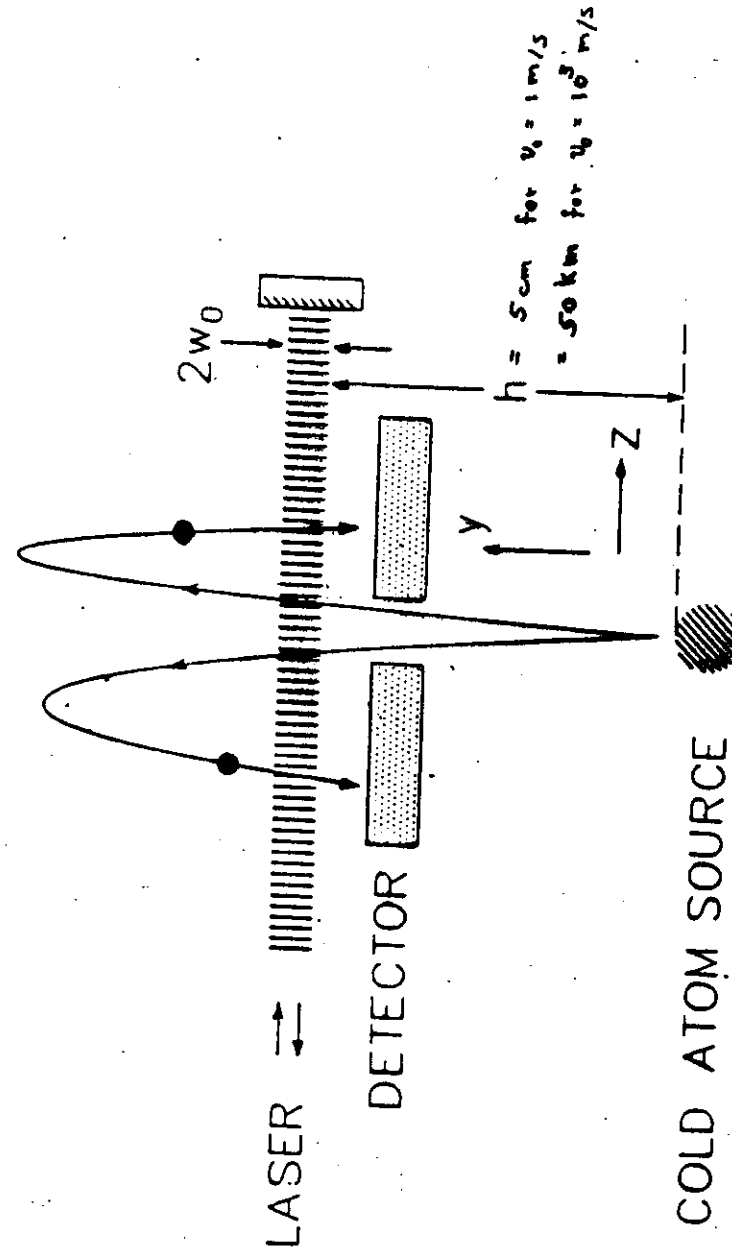
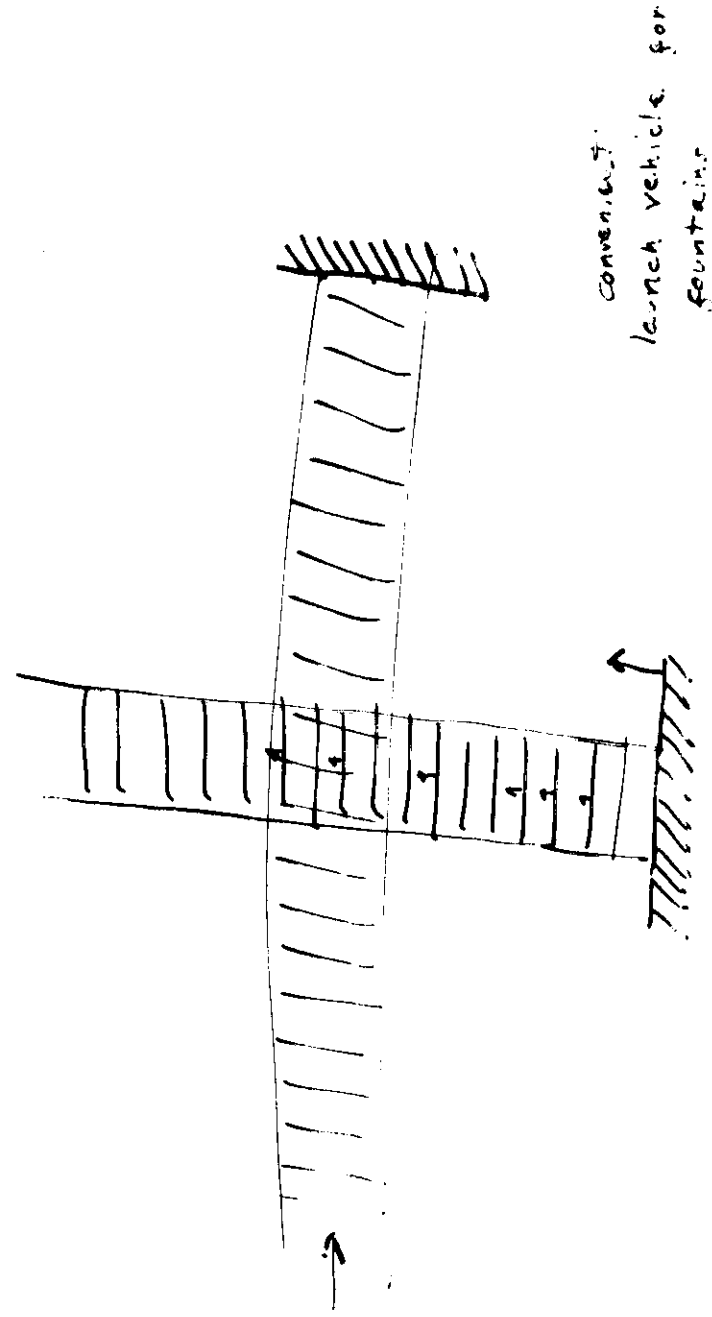
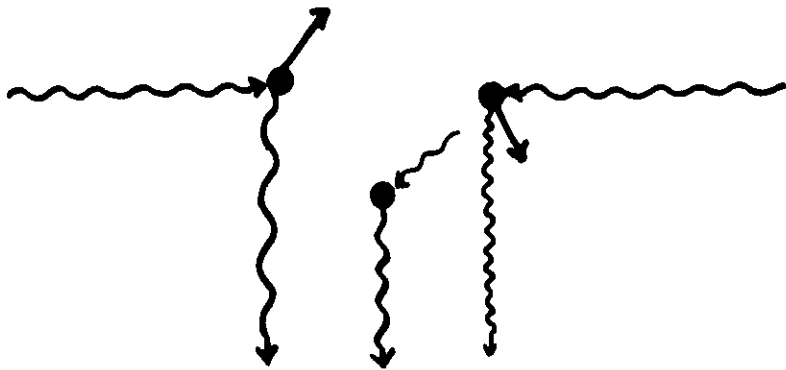


Fig. 1. Scheme for two-photon optical Ramsey spectroscopy of freely falling atoms.

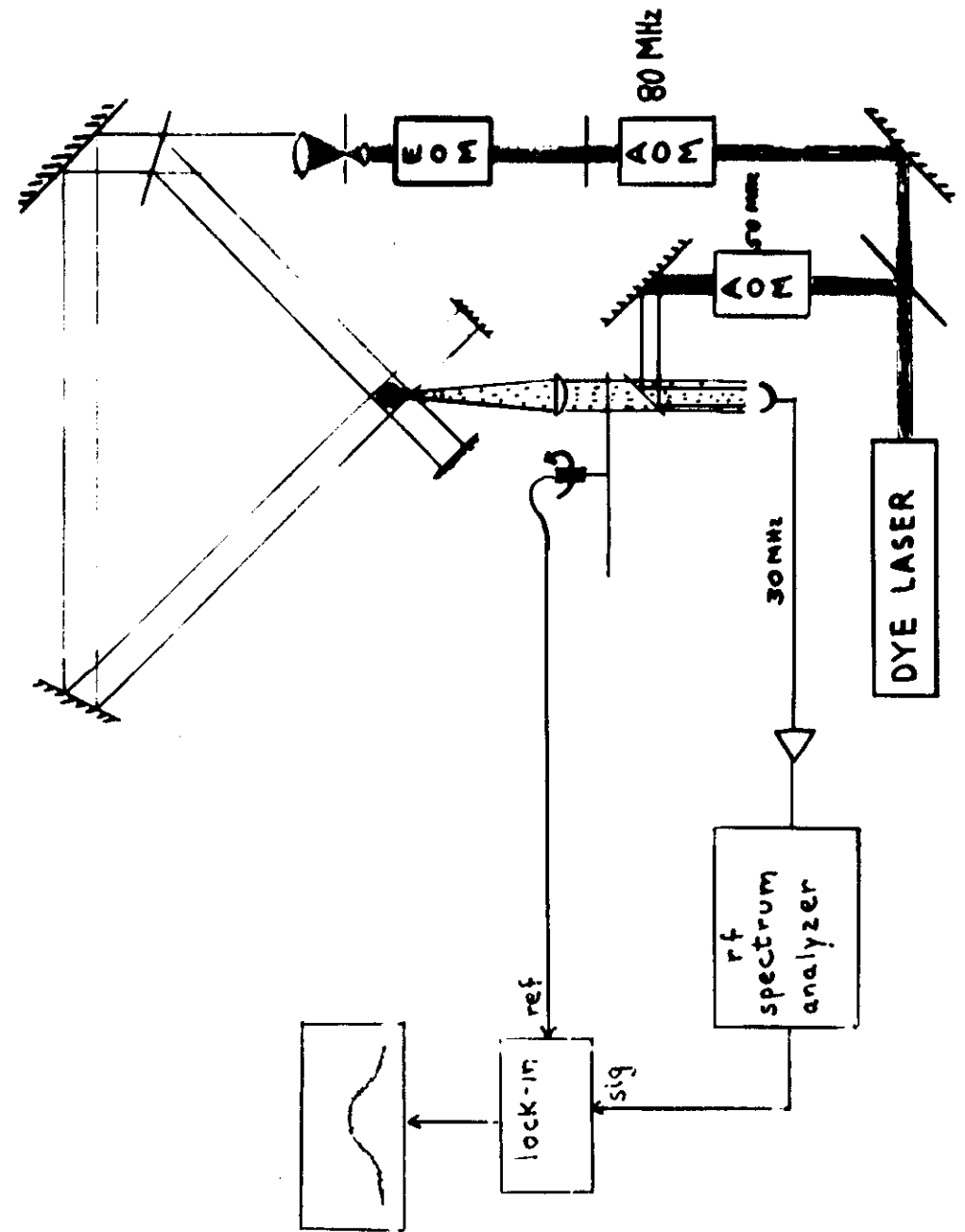
Moving Molecules



Spectrum of Light from Optical Molasses



- elastic (Rayleigh) scattering (at low intensity)
- no natural width
- Doppler width a few hundred kHz +

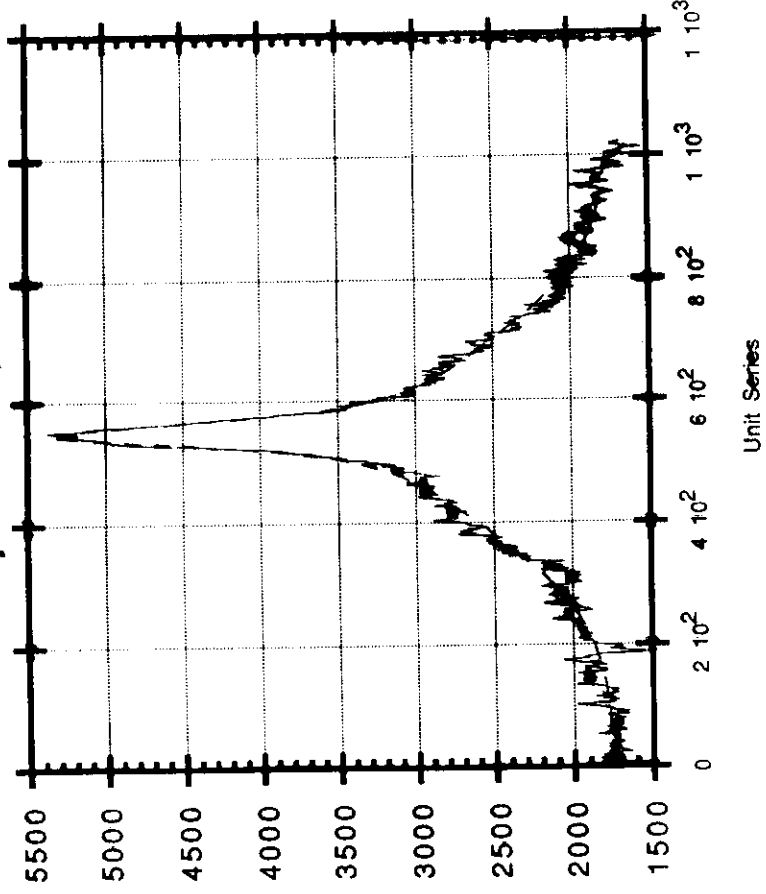


$T_{\text{off}} = 834\text{K}$

Doppler width: $T = 84\text{mK}$

—A

"Jan13 002,4-11"



Channel [1] Status: Acquisition Stopped

Range 1.0 V Auto Scale [Enabled]
Offset 400.0 mV Store Mode [Average] [256]
Probe [1:1] Coupling [dc] [1 M Ω]

Graph [1] 125 mV/div 400 mV 10.0 ms/div 40.00 ms
1:

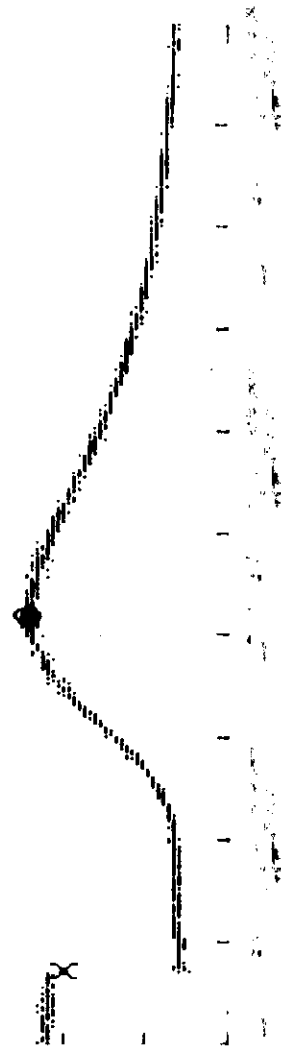
TOF : $T = 834\text{K}$

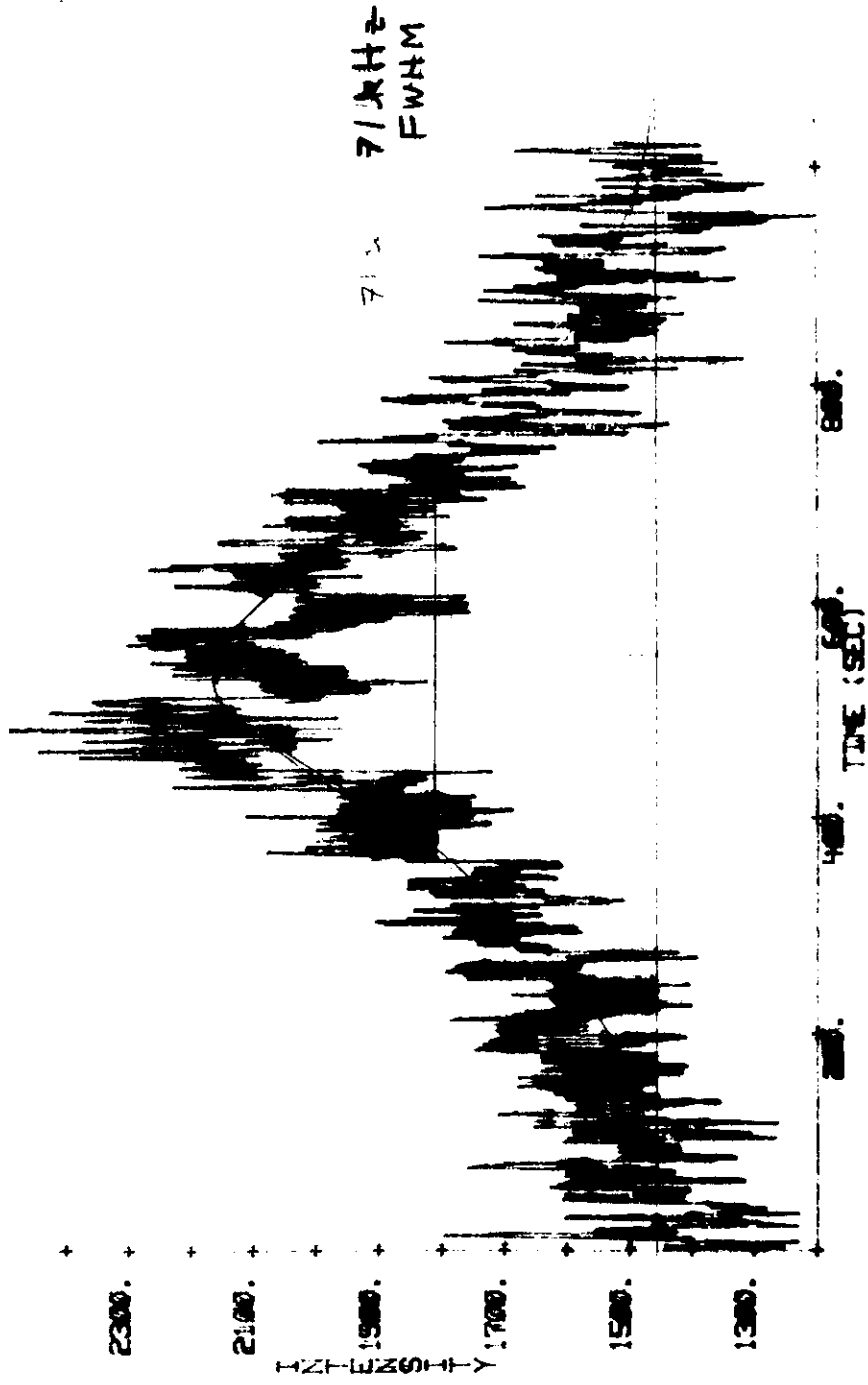
0 Selected

Cursor X
150 mV
47.0 ms

Cursor 0
210 mV
81.7 ms

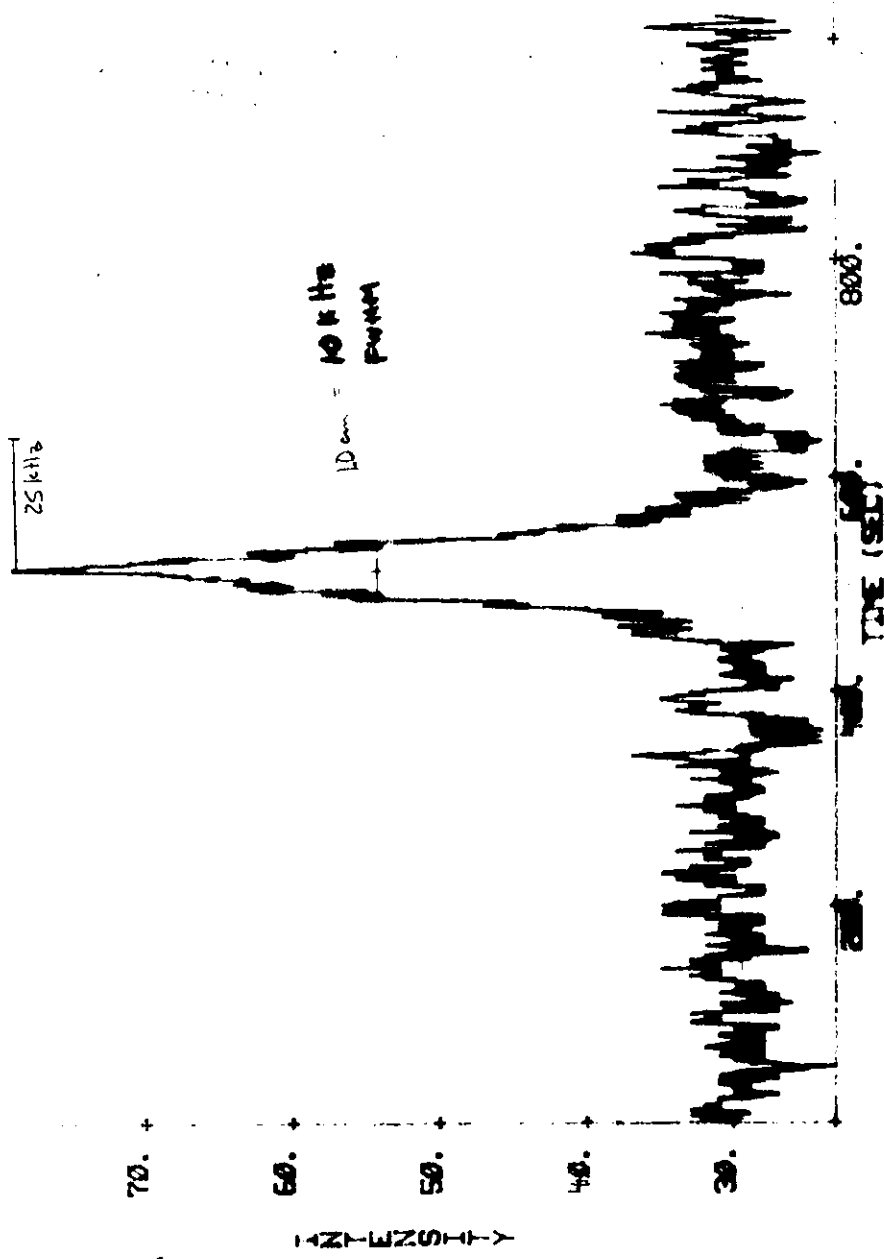
Cursor 0-X
60.5 mV
34.7 ms





200 kHz scan
RBW = 10 kHz

JUN 12.009



200 kHz scan
RBW = 10 kHz
ref line

JUNE 12.008

Motional Narrowing (Dicke Narrowing)



$$E = E_0 \sin(\omega t + kx)$$

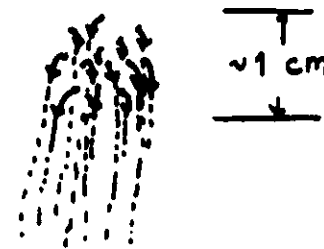
- Motion induces phase modulation
- Small amplitude of modulation [x]
gives small sidebands, even if
rate of modulation [$\dot{x}$] is large
- If atom confined to $x < \lambda$,
then get narrow spectrum
(Dicke narrowing)
- Confinement by viscous damping.
- Confinement by trapping in
optical force potential wells.

Ballistic Temperature Measurement

lowest $T \sim 20 \mu\text{K}$ (NIST + ENS)

Release + Recapture (Bell Labs)

Time-of-Flight (NIST)



$$mgh = k_B T$$

$$T \sim 250 \mu\text{K}$$

(for Na; bigger for Cs)

- Hard to measure $T \leq 20 \mu\text{K}$ with g
- Measurements on released molasses
- Systematic uncertainties
- Spatial inhomogeneities not resolved