



INTERNATIONAL ATOMIC ENERGY AGENCY
UNITED NATIONS EDUCATIONAL, SCIENTIFIC AND CULTURAL ORGANIZATION
INTERNATIONAL CENTRE FOR THEORETICAL PHYSICS
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H4.SMR/452-57

**ADRIATICO CONFERENCE ON
FOURIER OPTICS AND
HOLOGRAPHY**

6 - 9 March 1990

***INTERCONNECTS IN OPTICAL
COMPUTERS***

**Prof. P. Chavel
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Orsay, France**

INTERCONNECTS IN OPTICAL COMPUTERS

(or, also,

OPTICAL INTERCONNECTS IN COMPUTERS)

F. Chavel, Institut d'Optique (CNRS) Orsay, F

Outline.

- I Optical cellular automata (O.C.A.)
- II Interconnects for binary O.C.A.s
 - by correlation, relation to triple corr.
 - by multiplication
- III Optical interconnects for e^- computers
 - which optical components
 - where to put them
- IV Conclusion
 - basic advantages
 - summary

TRIESTE, march '90

Matrice de bistable optique
(cavités résonnantes en puits quantiques multiples)
- A. L. J. A.



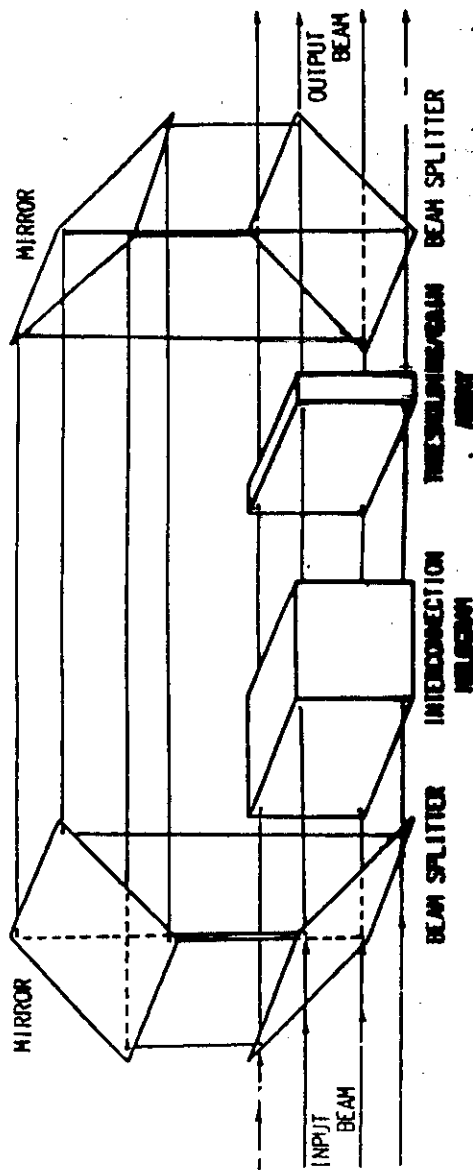
J.L. OUDAR, R. KUSZELEWICZ

1989

encl

$1 \mu m^2$, $1 ms$ $1 pJ \leftarrow$ optique
 $10 fJ \leftarrow$ CMOS

ONE POSSIBLE "ULTIMATE" OPTICAL COMPUTER



~ (10⁶ ARRAY ELEMENTS) / (100 PS LAMP TIME) ~ 10¹⁰ OPS/SEC

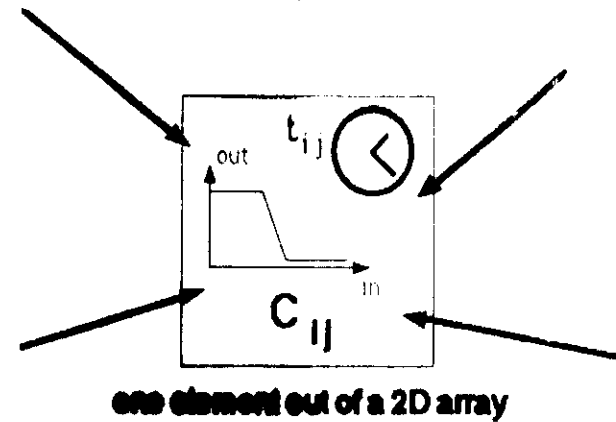
~ MANY ONE-CELLULAR COMPUTERS

no connections to

University of
DAYTON
Research Institute

and many others
around 1980

OPTICAL CELLULAR PROCESSORS (O.C.P.)



DEFINITION :

- state C_{ij}
- neighborhood $V_{ij} = \{ \text{some of the } C_{kl} \}$
- clock t_{ij}
- equation $C_{ij}(t_{ij}) = f_{ij}(V_{ij}, t_{ij} - 1) \dots$ too general

$$C_{ij}(t_{ij}) = f_{ij} \left(\sum_{k \in V_{ij}} \alpha_{ijk} C_{kl}(t_{ij} - 1) \right)$$

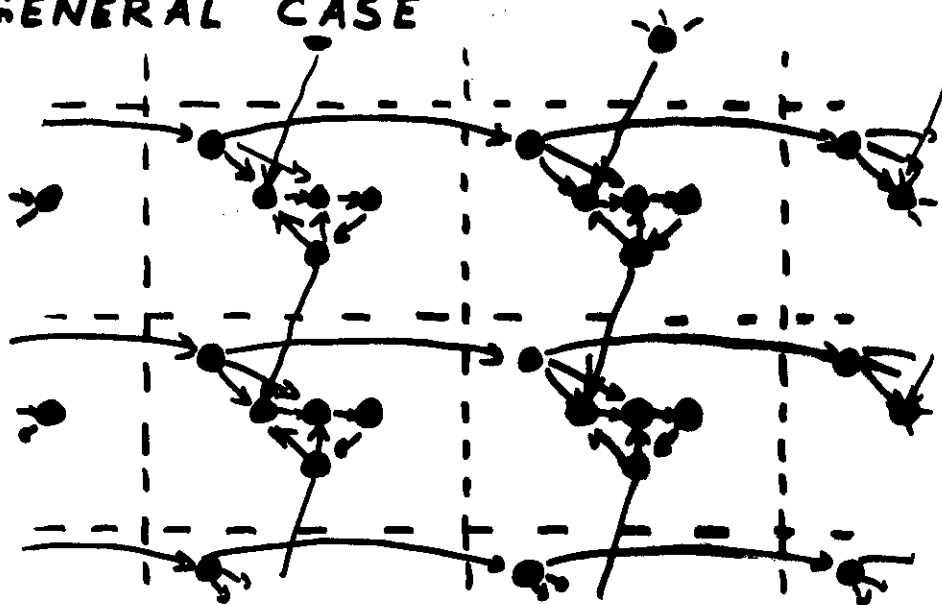
a point non linear operation on a linear combination
"quasi-linear operation" (Athale)

OPTICAL CELLULAR AUTOMATON:

$$\left. \begin{aligned} \alpha_{ij,kl} &= \alpha_{i-l, j-l} \\ t_{ij} &= t \\ l &= 0 \end{aligned} \right\} \text{SHIFT INVARIANCE}$$

CLASSES OF CELLULAR AUTOMATA

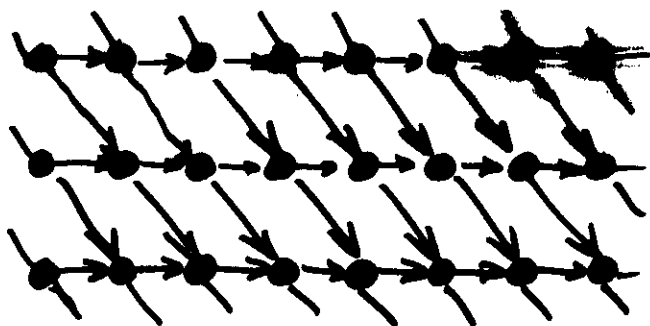
1 - GENERAL CASE



● = non linear device

↑
difficult for optics

2 - MINIMAL GRAIN CELLULAR AUTOMATON



one n.l. device per cell

complete shift invariance

↑
much easier for optics

turbulent flow in duct with obstacle

"von Karman" alley

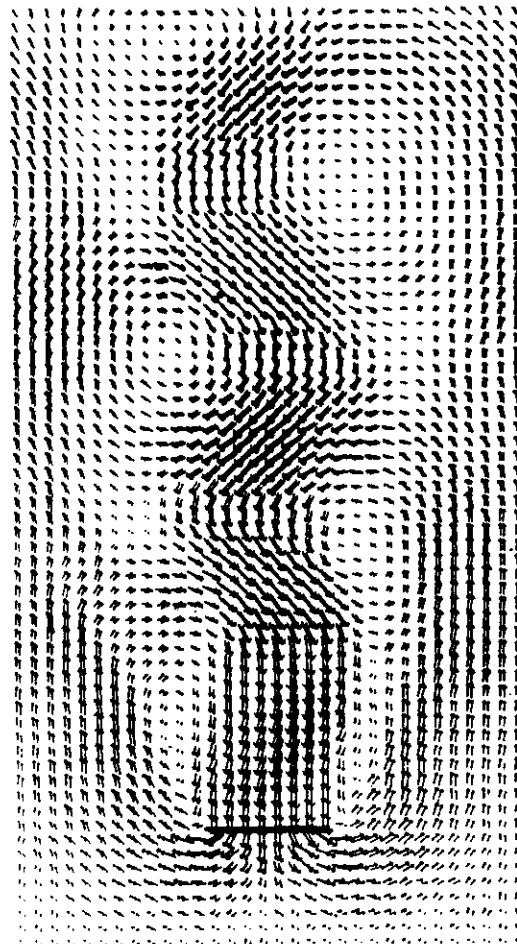


Fig. 2. Écoulement autour d'une plaque mince en mouvement dans le gaz pour un nombre de Reynolds de l'ordre de 90. Les flèches représentent la direction et le module du flux aux nœuds d'un maillage 32 x 64.

D. HUMIERES
P. LAUREMANT
Y. POMERAI

Revue de la SFEP n° 25 p. 14-15 (1986)

Binary O.C.A. =

binary pattern recognition

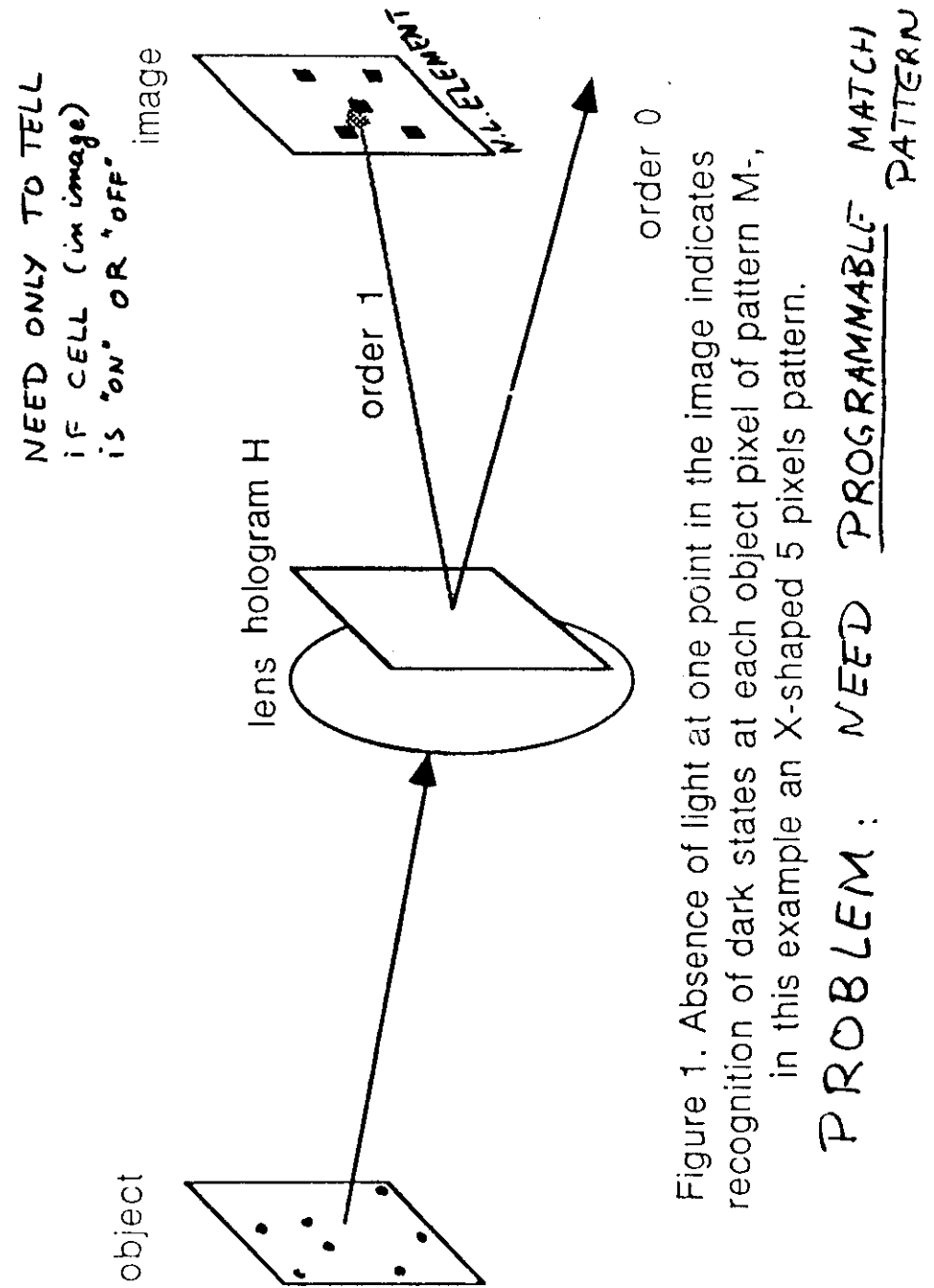
some V's $\rightsquigarrow$ ~~answer~~ to "1"
all others $\rightsquigarrow$ "0"

Describe the recognition of one given pattern in neighborhood.

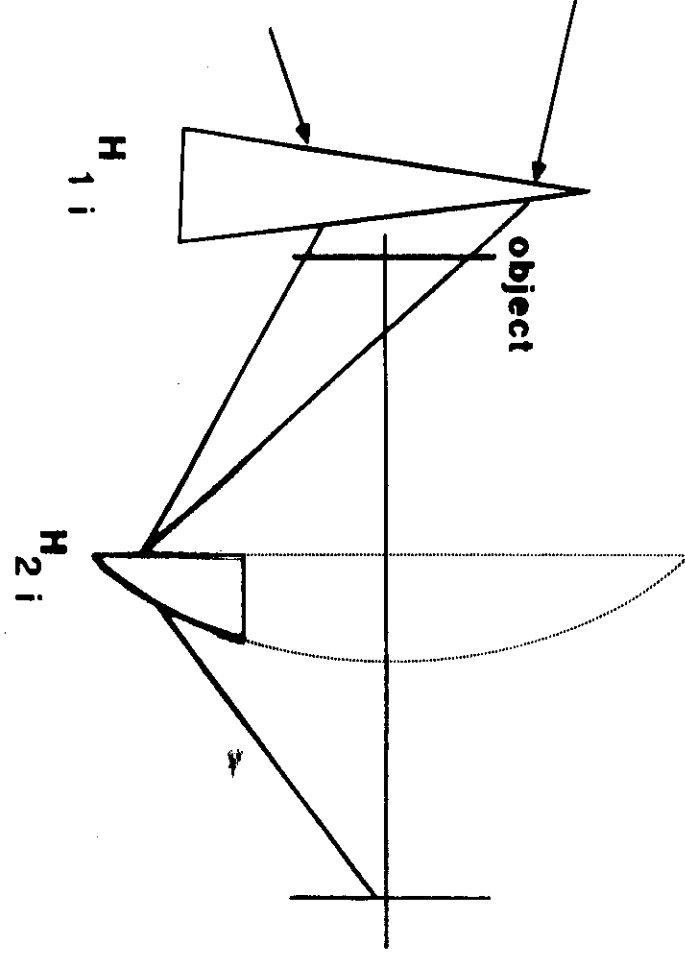
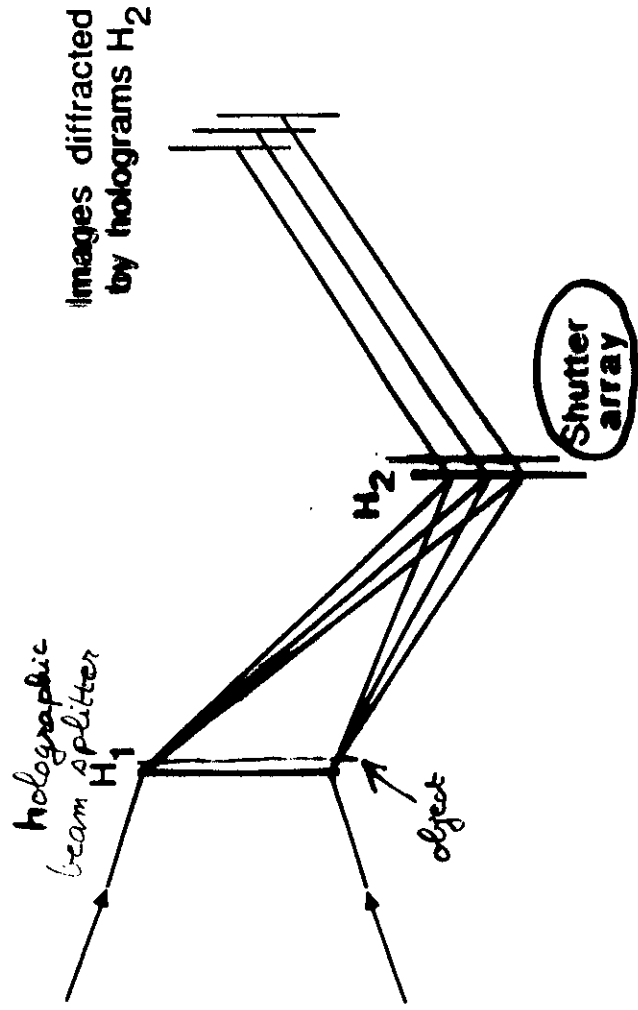
Two ways

1) (Binary) correlation
[relation to 3-correlation
and symbolic substitution]

2) multiplication



elementary cellular automaton
with programmable pattern



refractive optical elements equivalent
to one component of each H_1 and H_2

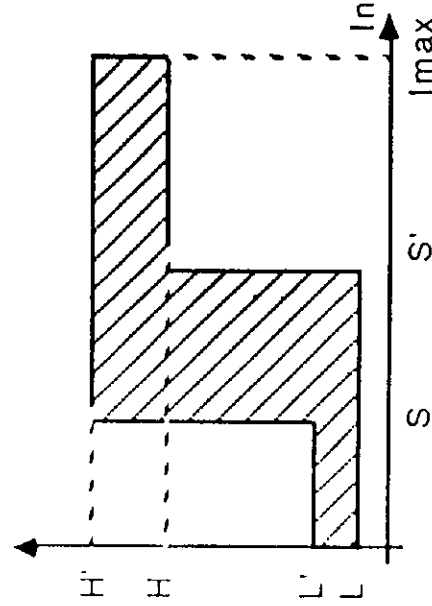
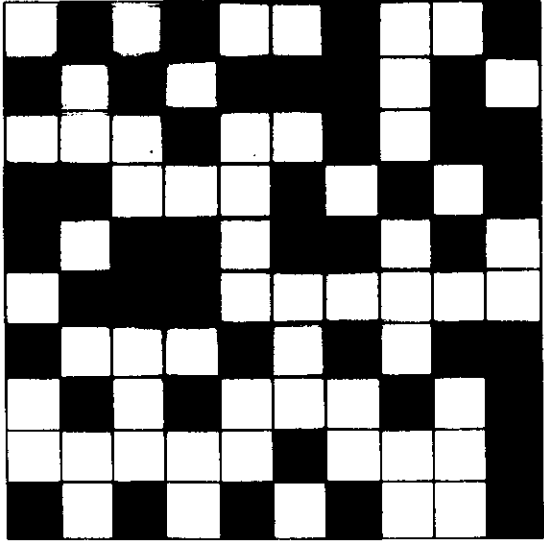
The diagram illustrates a boundary detection process using a match pattern M and a positive threshold device. The process is divided into three main stages: a), b), and c).

a) This stage shows the replication of the match pattern M (the pixel being processed is highlighted). It displays a single pixel of M (dark pixel of M) and its replication (dark pixel of M highlighted). The replication is shown as a 3x3 grid where the center pixel is dark and the surrounding pixels are light. The replication is then processed by a positive threshold device to produce a binary result (2 matches and one boundary effect).

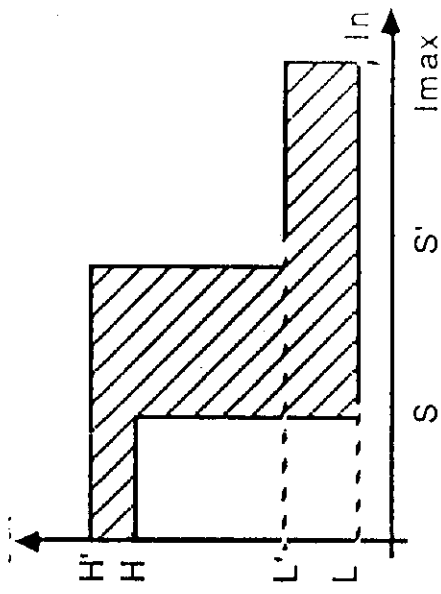
b) This stage shows the replication of the match pattern M (the pixel being processed is highlighted) and its replication (dark pixel of M highlighted). The replication is shown as a 3x3 grid where the center pixel is dark and the surrounding pixels are light. The replication is then processed by a positive threshold device to produce a binary result (2 matches and one boundary effect).

c) This stage shows the replication of the match pattern M (the pixel being processed is highlighted) and its replication (dark pixel of M highlighted). The replication is shown as a 3x3 grid where the center pixel is dark and the surrounding pixels are light. The replication is then processed by a positive threshold device to produce a binary result (2 matches and one boundary effect).

The diagram also shows the replication of the match pattern M (the pixel being processed is highlighted) and its replication (dark pixel of M highlighted). The replication is shown as a 3x3 grid where the center pixel is dark and the surrounding pixels are light. The replication is then processed by a positive threshold device to produce a binary result (2 matches and one boundary effect).



a)



b)

Figure 4. Thresholding.

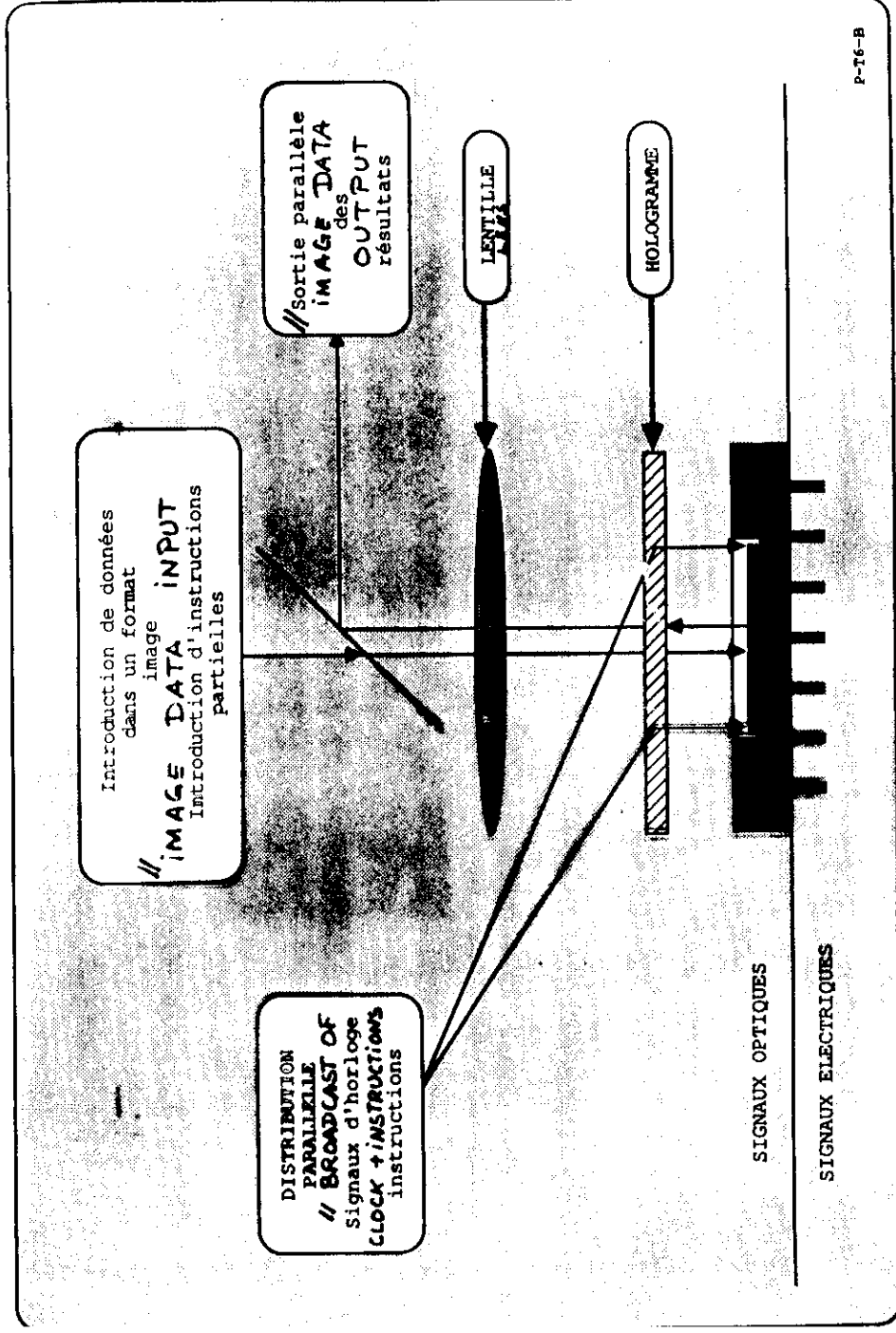
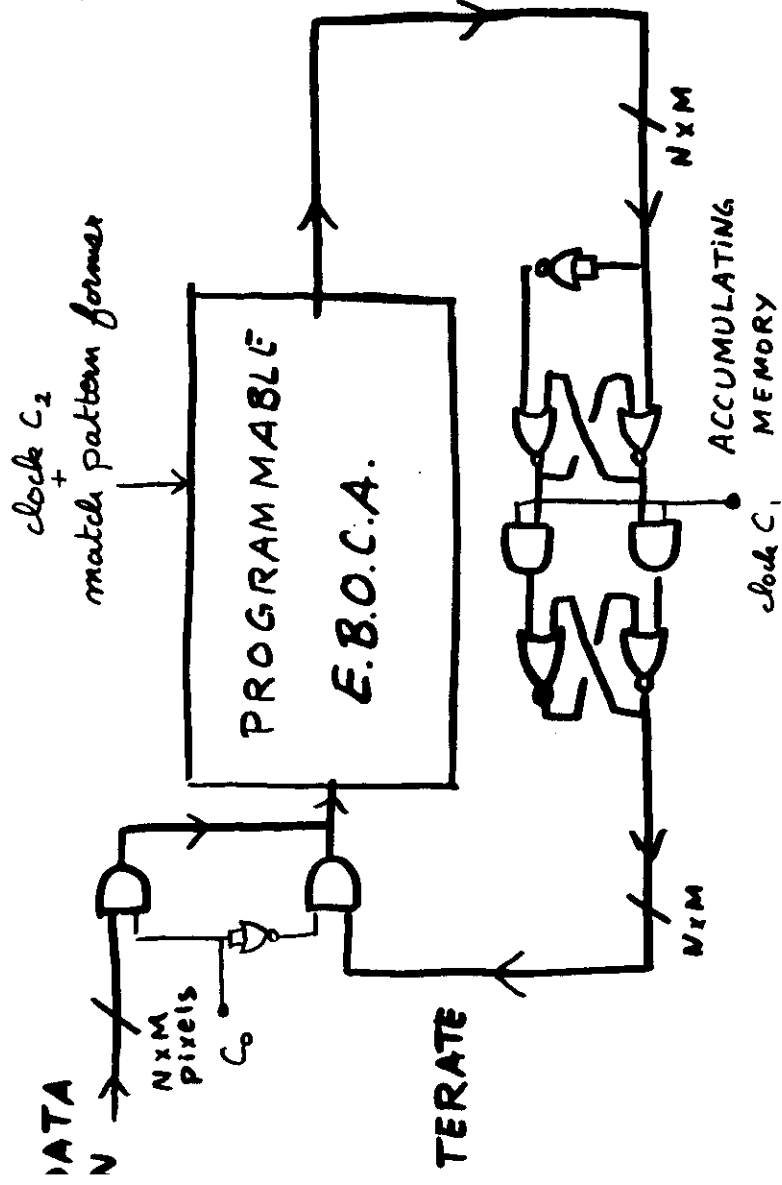
1st approach

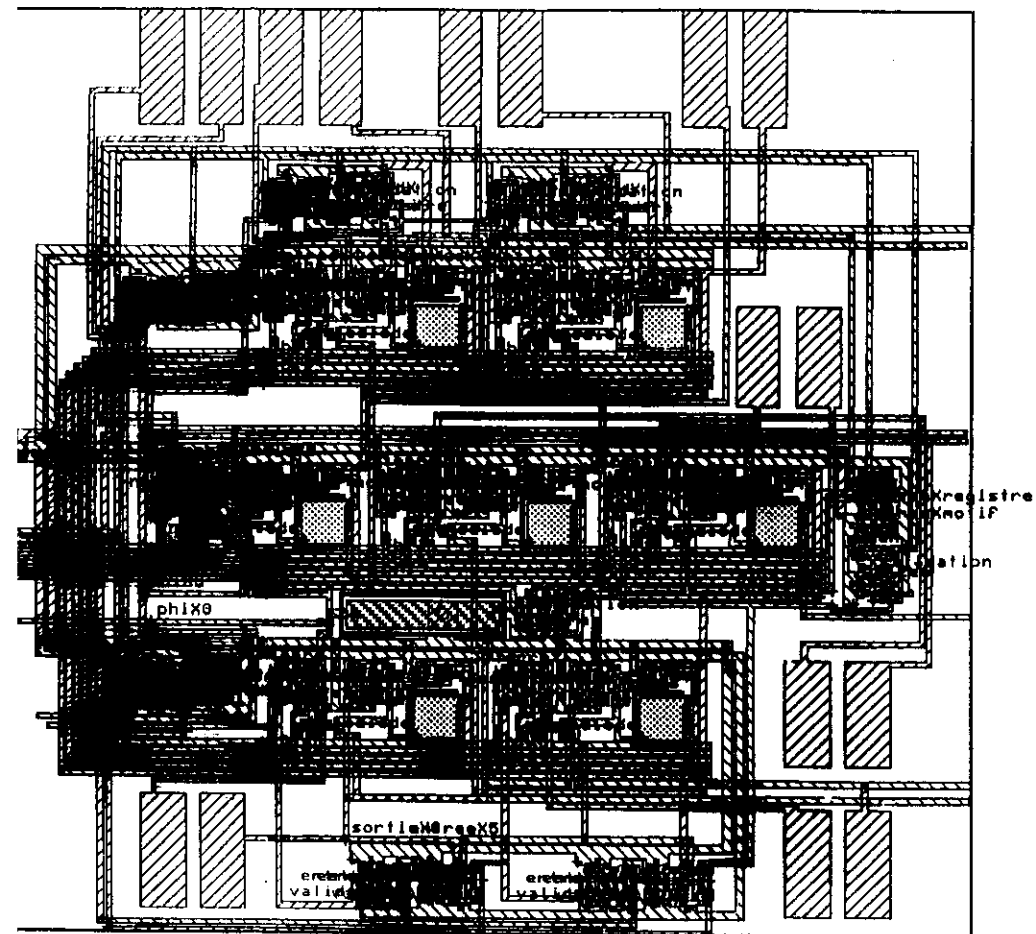
1 display + 1 negative threshold device dynamic range D

2nd approach

n displays + 1 positive threshold device $\approx \frac{D}{n}$

COMPLETE BINARY OPTICAL CELLULAR AUTOMATON





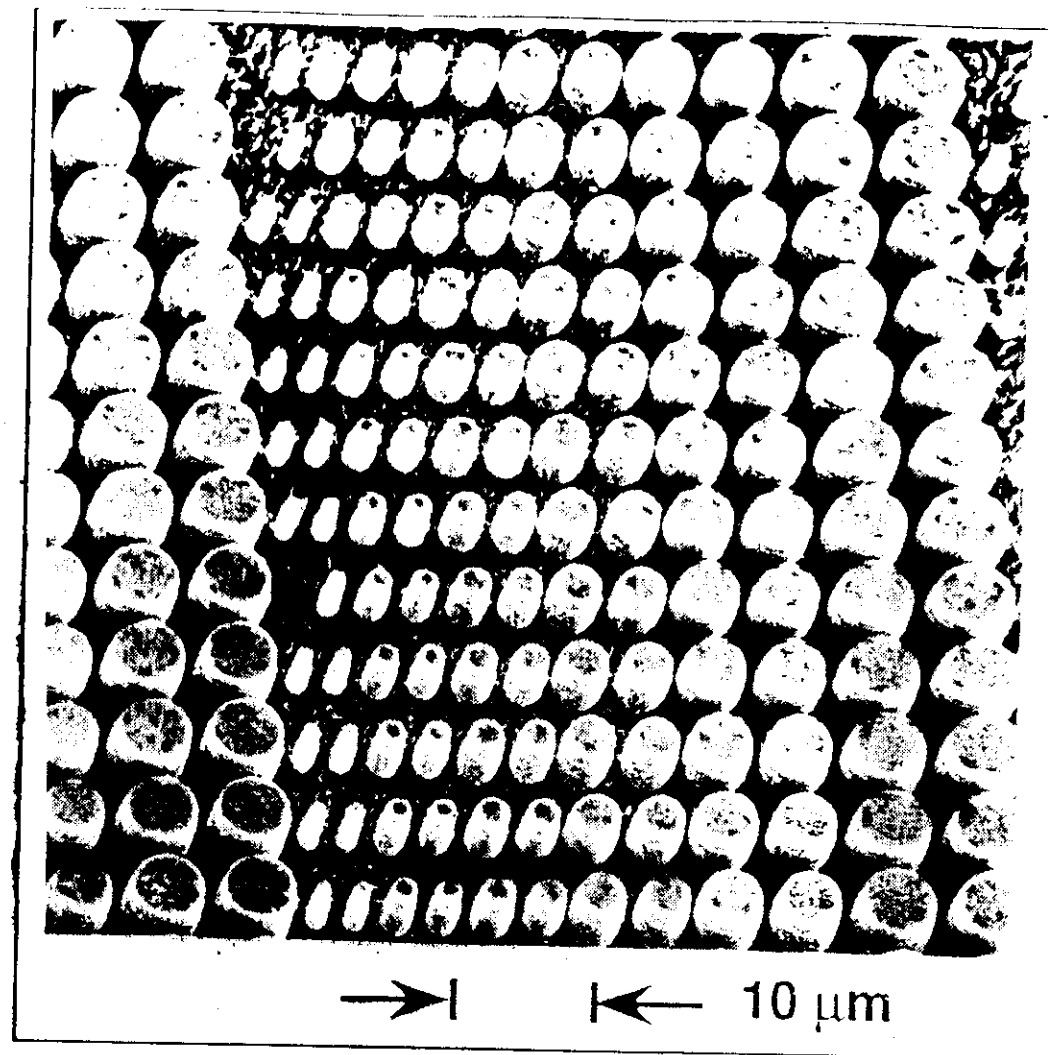
1122.5 μ m

GAZ 1

GAZ 1

GAZ 1

(1000)



Scanning electron micrograph of a small portion of the μ -laser array. Jerwell et al., ATT Bell, 1989

1. How can optics enter computers?
 What can optics do for computing?
 (Goodman, Kung, Athale, Leonberger, Proc IEEE 1984)

- Introduce new technological concepts

- Components : optical bistable matrices
 (or logic gates)
- Architectures : symbolic substitution,
 optical cellular automata

today : optics = 1 pJ, $1\mu\text{m}^2$, 1ns
 MOS = 10 fJ, $1\mu\text{m}^2$, 1ns

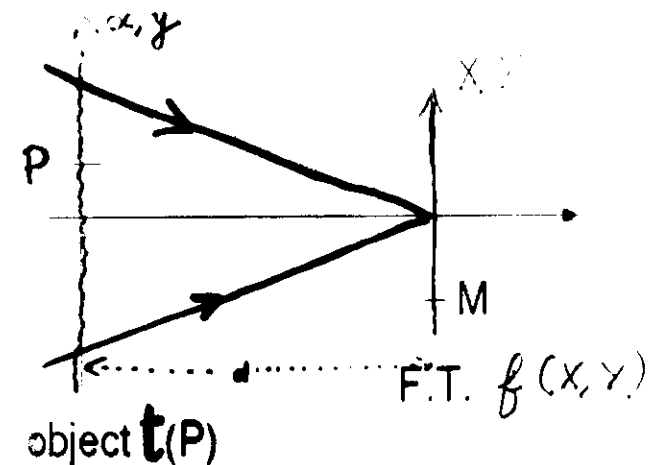
- or fill known technological needs

optics up to now has been good :
 for connections

computing = $\begin{cases} \text{Logic} \\ \text{Interconnects} \end{cases}$

2. cont'd

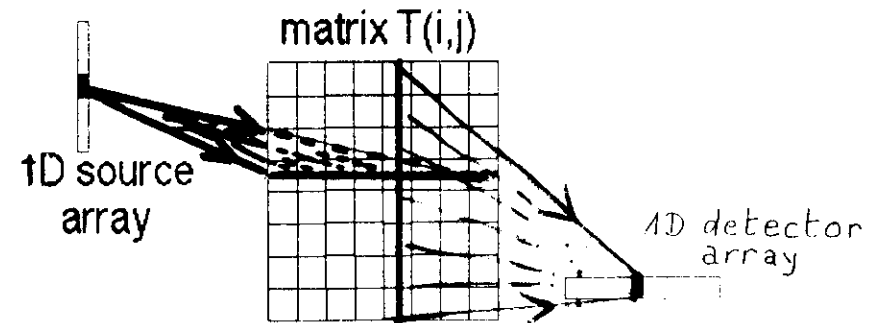
- the optical Fourier transform



typically worth 10^{12} interconnects
 (weighted, analog)

$$r(x, y) = \alpha \int_{-\infty}^{+\infty} t(x, y) \exp -2\pi i \frac{xx + yy}{2\lambda d} dx dy$$

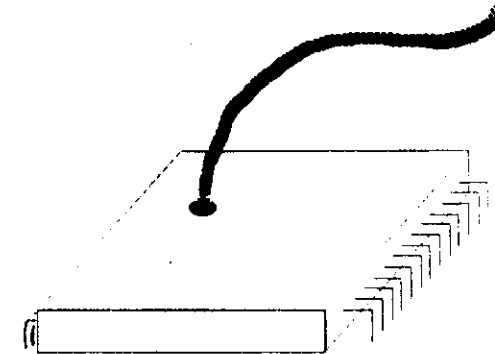
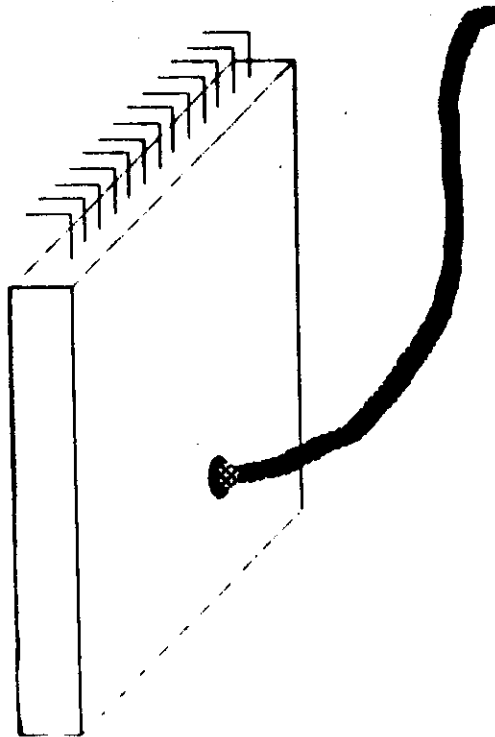
- optical matrix multiplication (analog)



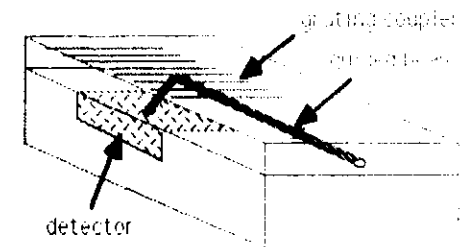
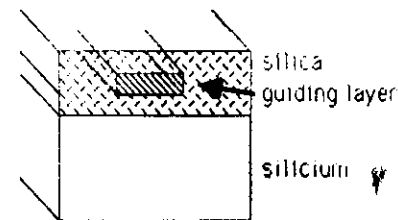
③ COMPONENTS

3.1 - Optical interconnect components

- guided waves

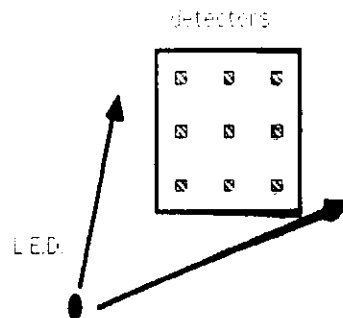


fibers : limited number of beams, but high bandwidth

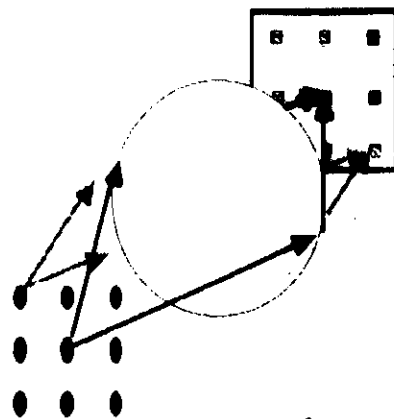


planar guides : geometric compatibility with micro-electronics and 2-D connection density

- 3-D components

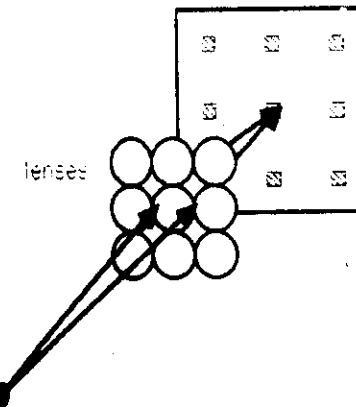


free space : convenient for broadcasting, poor efficiency.

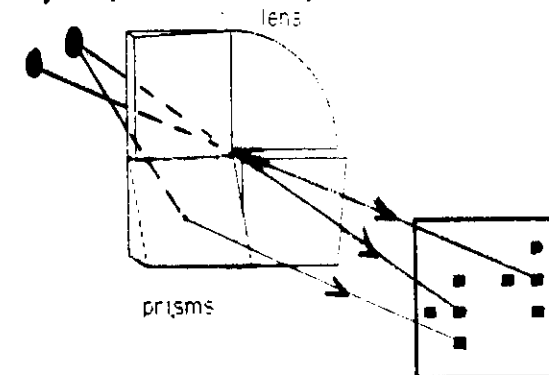


lenses : adequate for imaging (=1 to 1 connection)

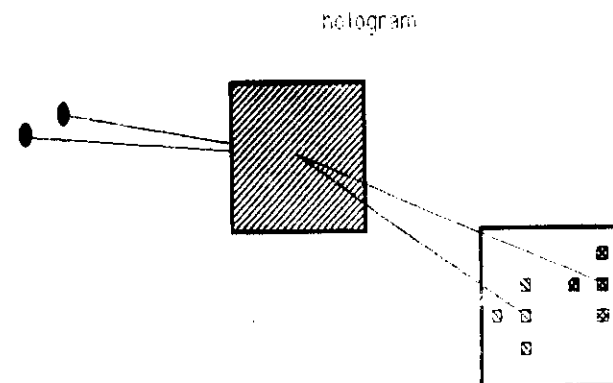
clock distribution
 400 - 500 Gbps
 1288
 50 MHz - 200 MHz



lenslet arrays improve efficiency in broadcasting



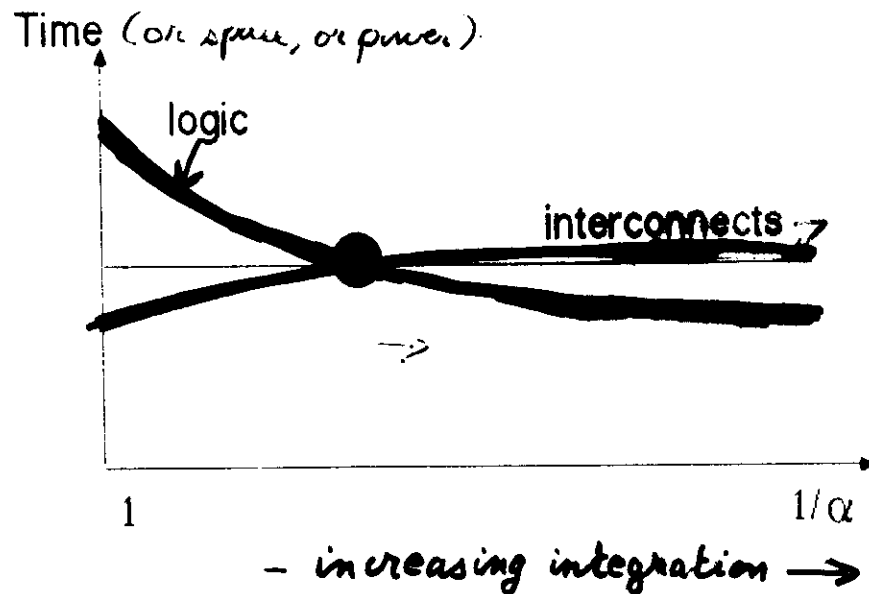
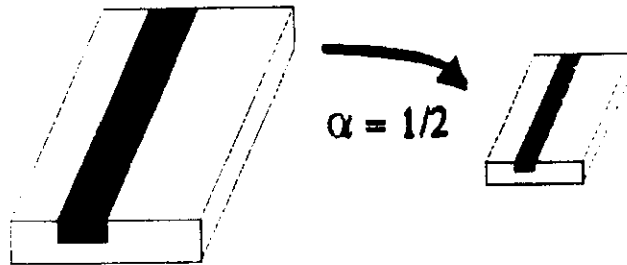
to flexibly combine broadcasting and imaging, use holograms :



Unit 1 - 2024

Needs for interconnects in computers

- inside chips
 - scaling laws -> interconnects take up relatively more and more space, time, power



Can optics save time/space/power ?

- work by Feldman, Esener, Guest, Lee (U.C.S.D., 1988) compare

- on-chip electronic connections
- L.D., free space propagation, photodetection as a function of frequency and length

optics suffers

- differential conversion efficiency (source, detector)
- waste of power because of laser threshold

optics gains

- no line loss proportional to length ($1/2 CV^2$)

|| conclusion : optics is advantageous above a critical interconnection length ℓ_0
for frequency around 10 MHz, ℓ_0 around 1 cm ||

- work by Friedrich, Valette (LETI, Grenoble, 1988)

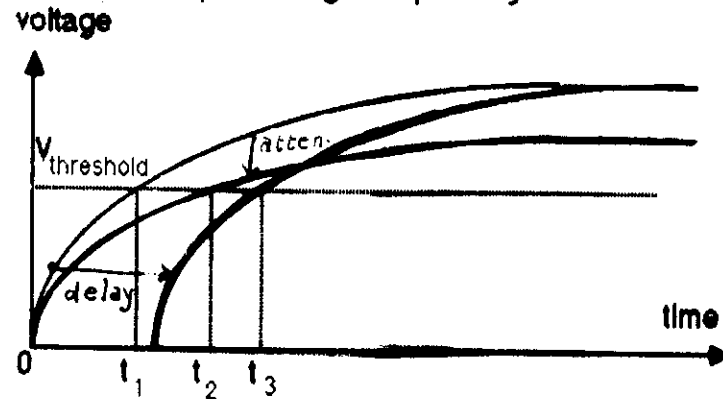
similar conclusions for integrated optics connections ; test in progress.

- suggestion by D.A.B. Miller (A.T.T., 1989) :

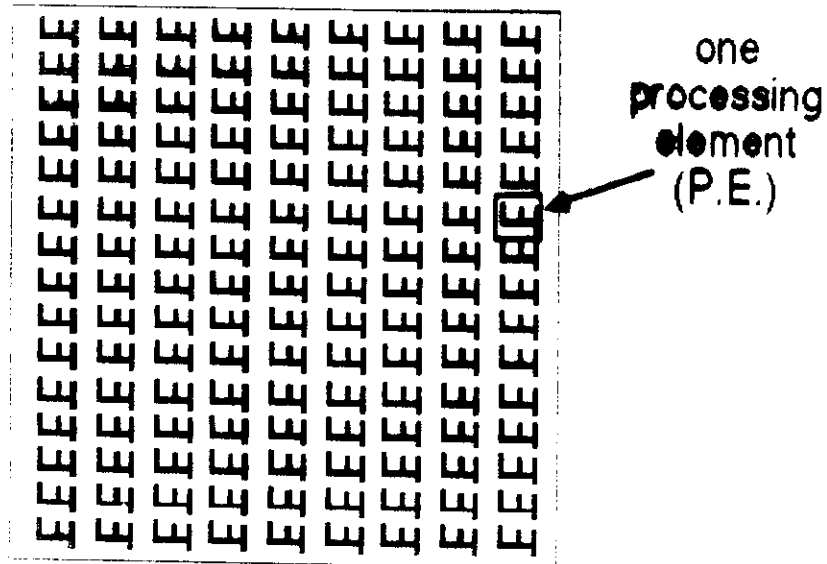
- both ends of an electronic connexion have high Impedance : a line has low Impedance, the above gain is an impedance matching through optics ;
- use optical gates to avoid the threshold problem.

- integration is a challenge ...

- clock skew
affects device synchronization and
therefore operating frequency

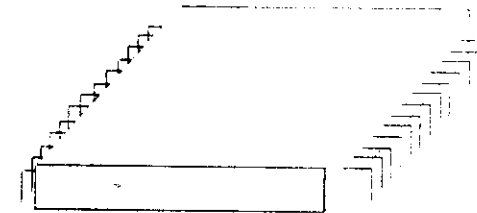


- fine grained parallelism requires more interconnects



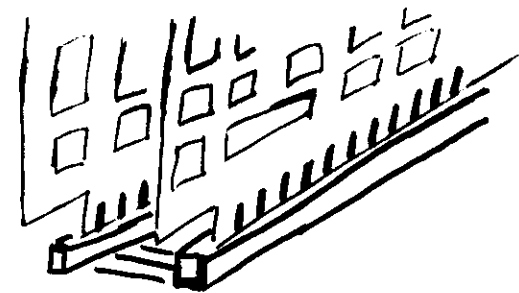
4.2 - between chips

typical number of pins : 200



4.3 - between boards

same limitations : in practice, the clearest limitation to present interconnect technology for fast, parallel, multiboard processors.

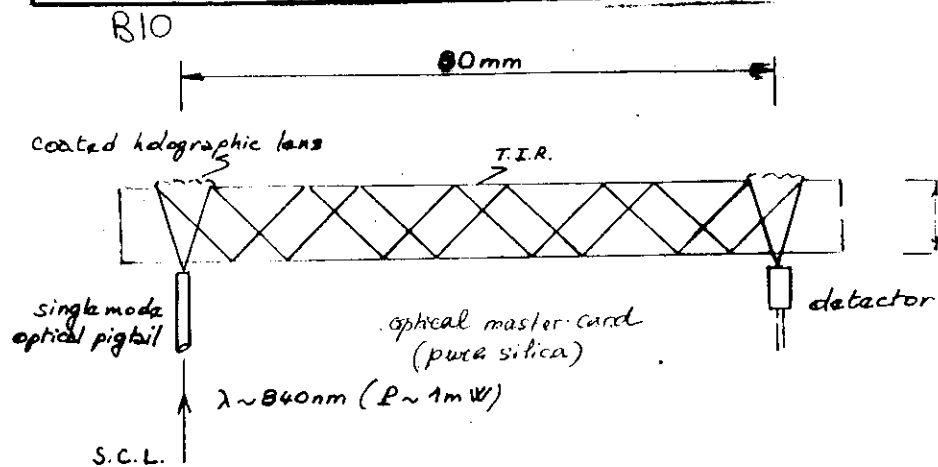


84

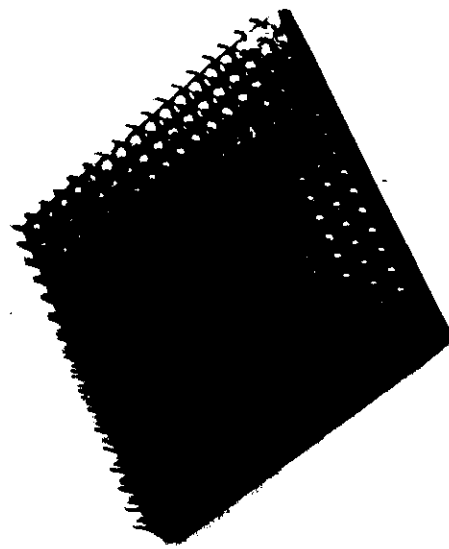
FIRST LABORATORY RESULTS

- photorealist ($\lambda \sim 0.24 \mu\text{m}$) ~~SMITH~~ AZ 1350J
- recording energy density $\sim 2.5 \text{ J cm}^{-2}$
- developer ~~MASSANA~~ (1+1)
- development time ~~200s~~ 60s
- holographic lens focal length $f \approx 5 \text{ mm}$
- holographic lens diameter $D \approx 4 \text{ mm}$
- diffraction efficiency $\approx 20\%$
- beam divergence $\Delta\theta \approx 6^\circ$
- elongement $\sim 9.35 \text{ mm}$ ~~from~~ ~~une~~ ~~propagation~~ $L \sim 200 \text{ mm}$

FEASIBILITY DEMONSTRATION OF AN OPTICAL LINK



- low losses in the guide $< 0.05 \text{ dB/cm}$
- coupling efficiency $\sim 5\%$
- output focused beam diameter $< 100 \mu\text{m}$



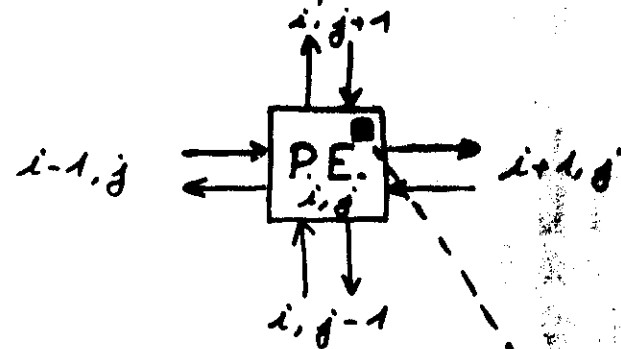
②

ELECTRONIC MASSIVE PARALLELISM:

- 256 x 256 P.E.s
- ONE CHIP

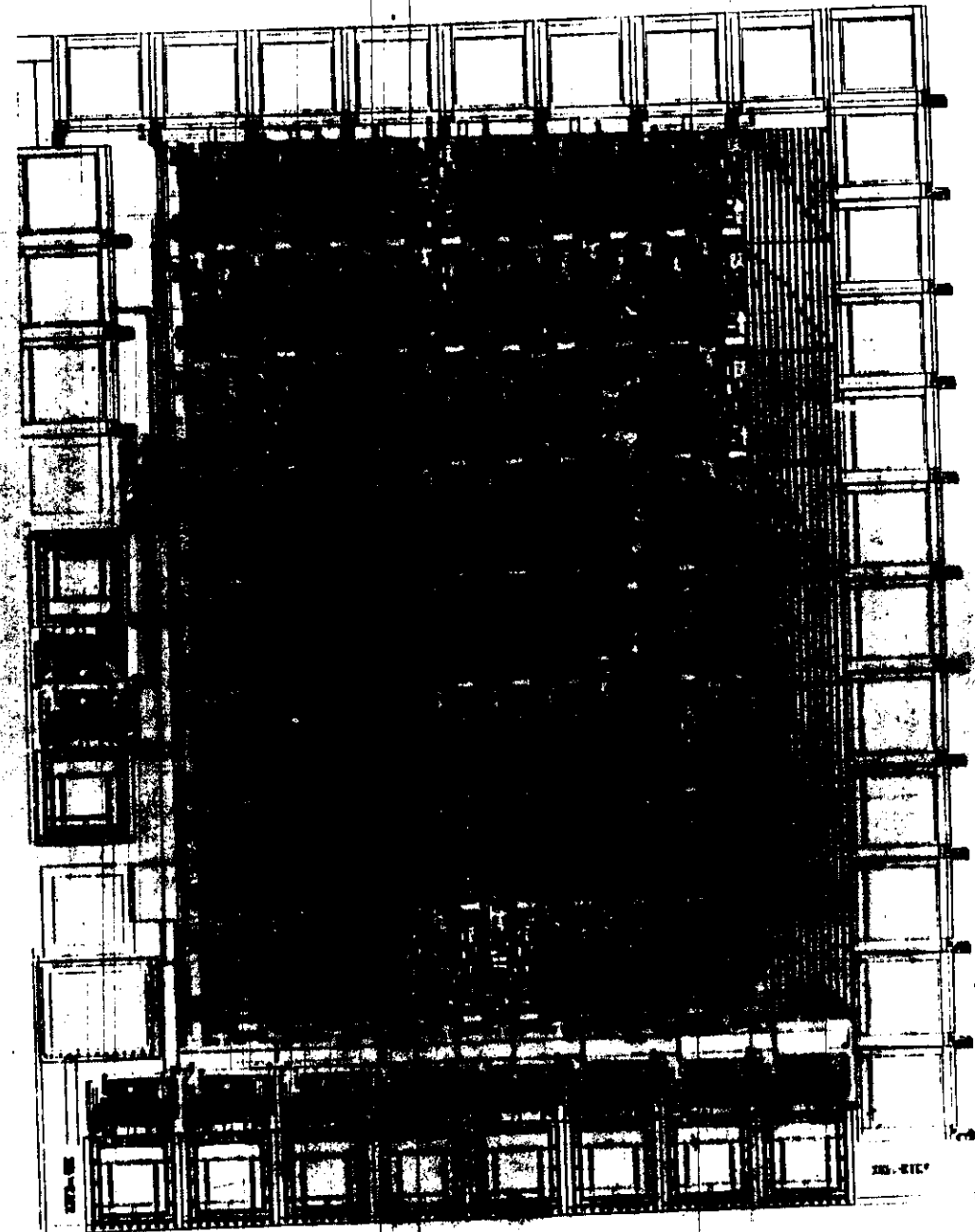
About the P.E.s:

- ≈ 50 transistors
- 1-bit processor



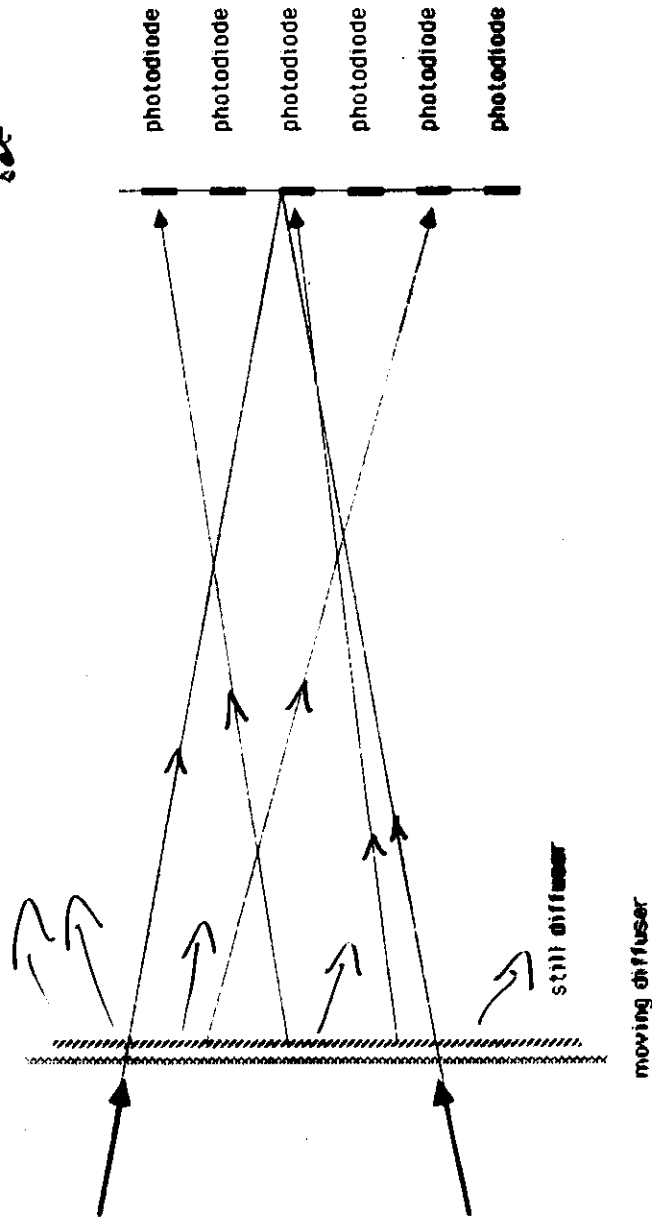
- image format
- includes a photodiode ("SMART RETINA")

OPTICAL GENERATION OF $\sim 10^{10}$
UNCORRELATED RANDOM NUMBERS
PER SECOND ON $\sim 1 \text{ cm}^2$.



GÉNÉRATION DE NOMBRES ALÉATOIRES POUR
PROCESSEURS MASSIVEMENT PARALLÈLES

complete interconnect
not



Generation of random number arrays with speckle

demonstrated: - 10^{-3} residual spatial correlation
- microsecond scale time correlation width.

(5) Conclusions (I)

The advantages of optics

- speed c
 - no! The Helmholtz equation is the same in optics and in electronics
 - but optical connections save time by an effect of impedance matching
- fan-in/fan-out
 - no! the power has to be split in any case
 - but optical connections can be extremely dense
- bandwidth
- ~~reduced~~ ^{yes} crosstalk ("interferences")

Further research

- integration of optics and microelectronics into OEIC
- develop appropriate microoptics components
- use MQWs and photorefractives as interconnects components
- try to optically interconnect boards.

CONCLUSIONS (II)

Do computers need optics?

YES : FOR INTERCONNECTS AT LEAST

Do we know what we want to do?

YES : MASSIVELY PARALLEL, "SMALL GRAIN"
MACHINES = cellular automata

What do we need to make them?

(1) micro-optics

(2) c.e. components

(3) (a) microelectronics technology

(b) technology for m.l. optics

