



SMR/697
8-Mag.Mult.

RESEARCH WORKSHOP ON CONDENSED MATTER PHYSICS
(21 June - 3 September 1993)

WORKING GROUP ON MAGNETIC MULTILAYERS
(9 - 13 August 1993)

INTERFACIAL AND INTERLAYER MAGNETIC
COUPLING IN METALLIC SUPERLATTICES

PART II

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MAGNETIC PROPERTIES OF AF/F SANDWICHES AND SUPERLATTICES ✓

1 INTRODUCTION

1.1 $A_m B_n$

$A = Fe, Co, Ni$

$B = Cr, Mn$

1.2 SENSITIVITY OF THE MAGNETIC MOMENTS TO THE MAGNETIC ORIENTATION OF THEIR NEIGHBOURHOOD

- $M(\theta)$ for helicoidal state

for Cr $M(0 \pm \frac{1}{2}\pi) = 0!$

- for Mn $M(\frac{\pi}{5} < \theta < \pi) \sim C\theta^2$

Large collection

D. STREMPER; A. GUTHRIE. - *Phys. Th. Phys.* 5 101.
133 (1990)

- *J. MAGN.* 121, 253 (1992)

- *Phys. Rev. B* 44 10393 (1991)

- to be published in the
Proceedings of "Magnetism in
systems of reduced dimensionality"
Tignes 1992

2. INTERFACIAL COUPLINGS AF₁/F₂/AF₂ SANDWICHES

- COLINEAR MAGNETIC DISTRIBUTION

- P AND AP ARRANGEMENTS FOR G/Co, Cr/Ni, Fe/Mn
- AP ONLY FOR Fe/Cr

- MAGNETIZATION REVERSAL OF THE F₂ LAYER LEADS TO COLINEAR MAGNETIC WALLS IN THE Cr CRYSTALS (UNPINNED MAGNETIC WALLS)

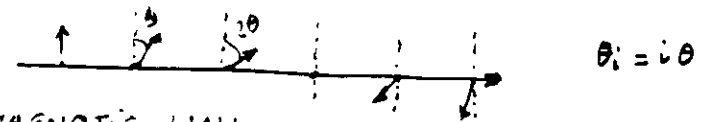
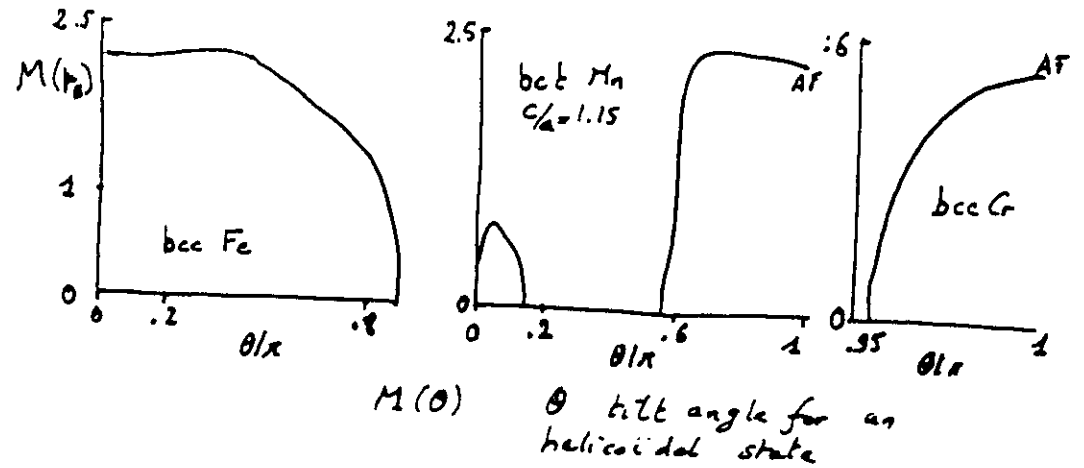
$$\gamma_w^{\text{Cr}} \sim 20 \text{ mJ}$$

$$\gamma_w^{\text{Cr}} \sim 23 \text{ meV}$$

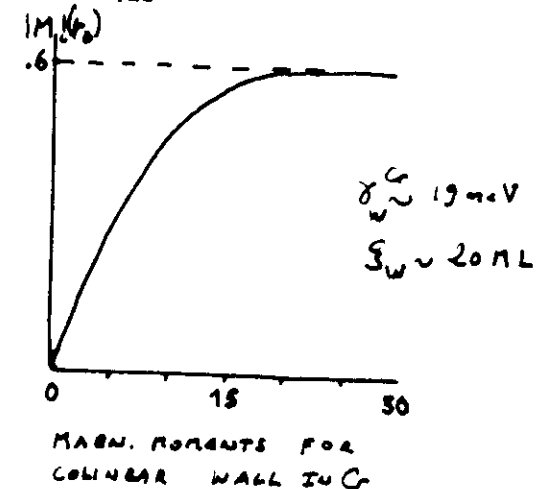
- VARIATION OF THE MAGNETIC MOMENTS DISTRIBUTION WITH RESPECT TO THE Cr/Fe DISORIENTATION.

SENSITIVITY OF THE MAGNETIC MOMENTS TO THE MAGNETIC ORIENTATION

① HELICOIDAL STATE



② COLINEAR MAGNETIC WALL



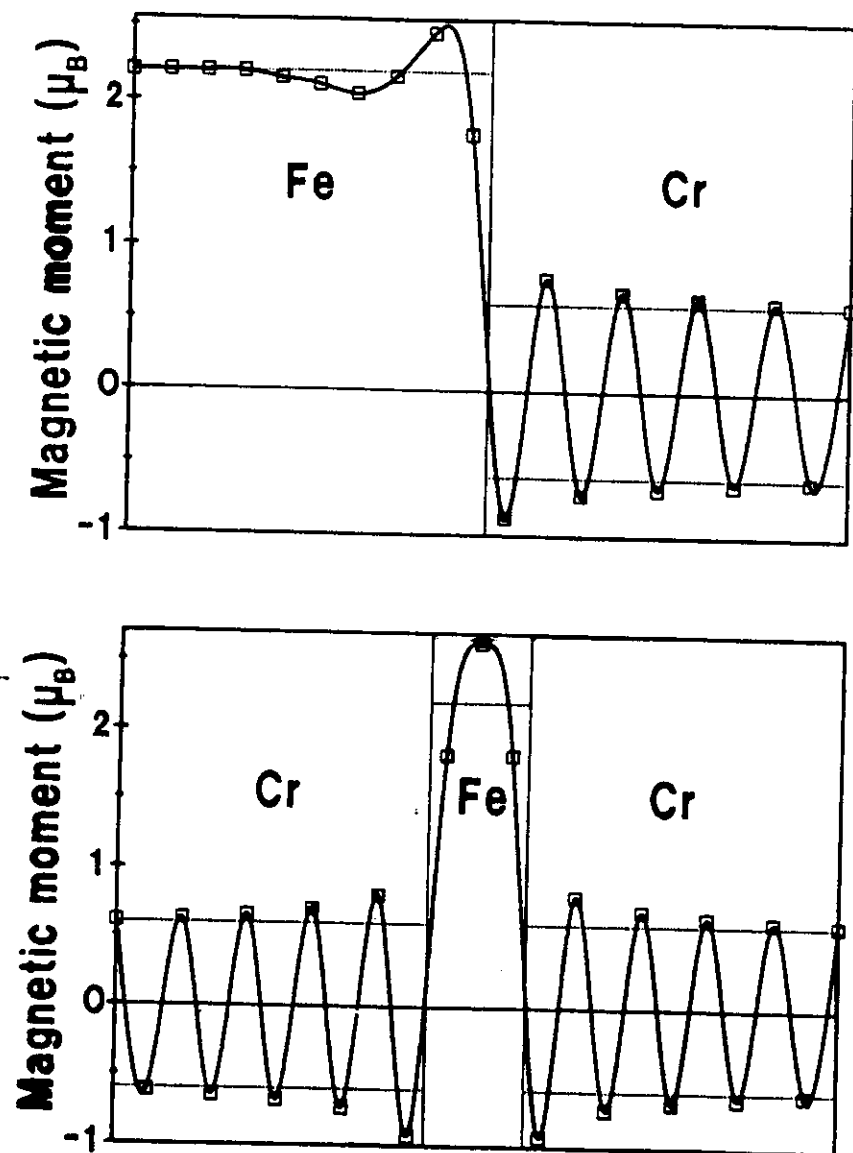
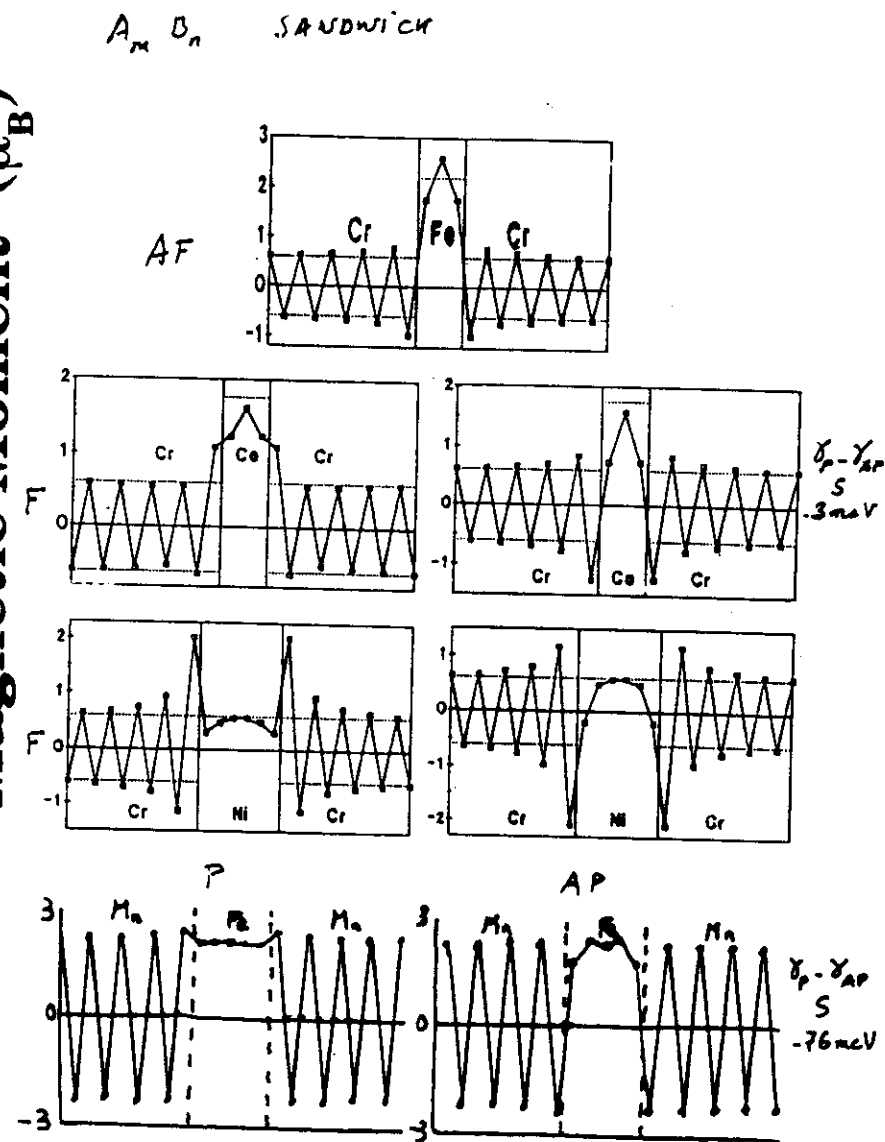


Figure 11. Magnetic moments distributions for a perfect interface between two semi-infinite crystals (upper curve) and for a iron trilayer in chromium (lower curve) with a (001) interface.

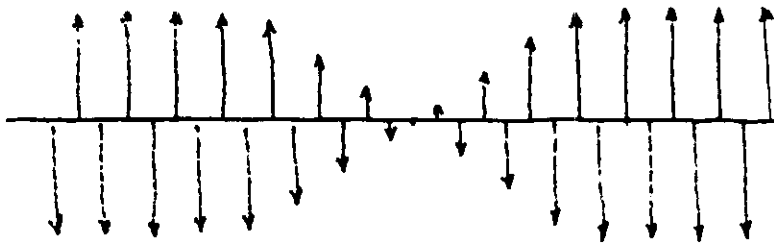
Magnetic Moment (μ_B)



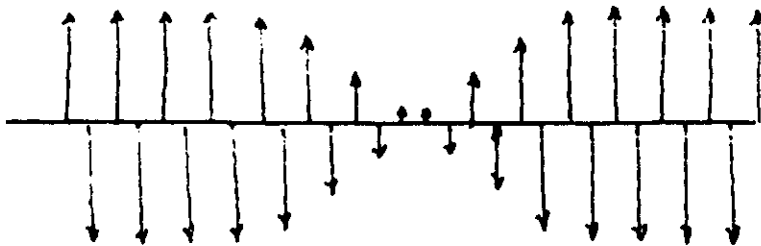
MAGNETIC ARRANGEMENTS FOR SANDWICHES

B / A - 13

COLINEAR MAGNETIC WALLS IN C_r



odd



even

COLINEAR MAGNETIC WALL IN A.F.

$$E(\{A_i\}) = \sum_i \ell(M_i) + \frac{1}{2} \sum_{i,j} J_{ij} M_i M_j$$

$$\ell(M) = \frac{A}{2} M^2 + \frac{B}{4} M^4$$

$$M_i = (-)^i M_i \Rightarrow M_i^3 + \frac{A}{B} M_i - \frac{J}{B} (M_{i-1} + M_{i+1})$$

$$A = 608 \text{ meV/ab} \quad J = 309 \text{ meV} \quad B = 28 \text{ meV/ab}$$

F/AF/F MULTILAYERS AND SANDWICHES

3 F₀/AF_n/F₀ SANDWICHES AND SUPERLATTICES

- THE GROUND STATE IS OBTAINED FOR MAGNETIC DISTRIBUTIONS CONSISTENT WITH THE STRONG INTERFACIAL COUPLING AND THE AF ORDER.

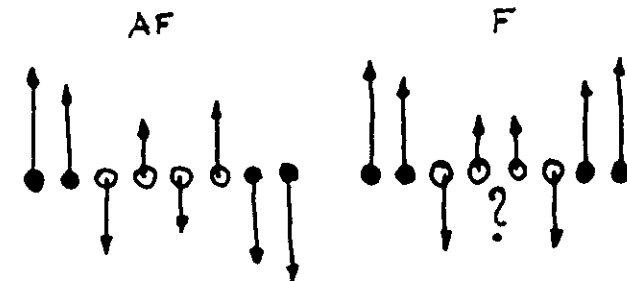
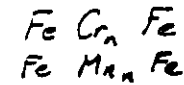
- WHEN THE INTERLAYER F₂ MAGNETIC ORDER IS MODIFIED G FRUSTRATIONS LEAD TO G MAGNETIC MOMENT DECREASE

- CONSTRAINED MAGNETIC WALL

- COLINEAR DISTRIBUTIONS

- STABILITY OF THE NCS VS O.S.

- QUADRATIC VS BIQUADRATIC CONTRIBUTIONS



$n = 4$



The F interlayer magnetic arrangement gives rise to a frustration of the Cr AF order for even n values

Distribution of the magnetic moments amplitudes and directions?

Structure of the constrained magnetic wall in the AF spacer?

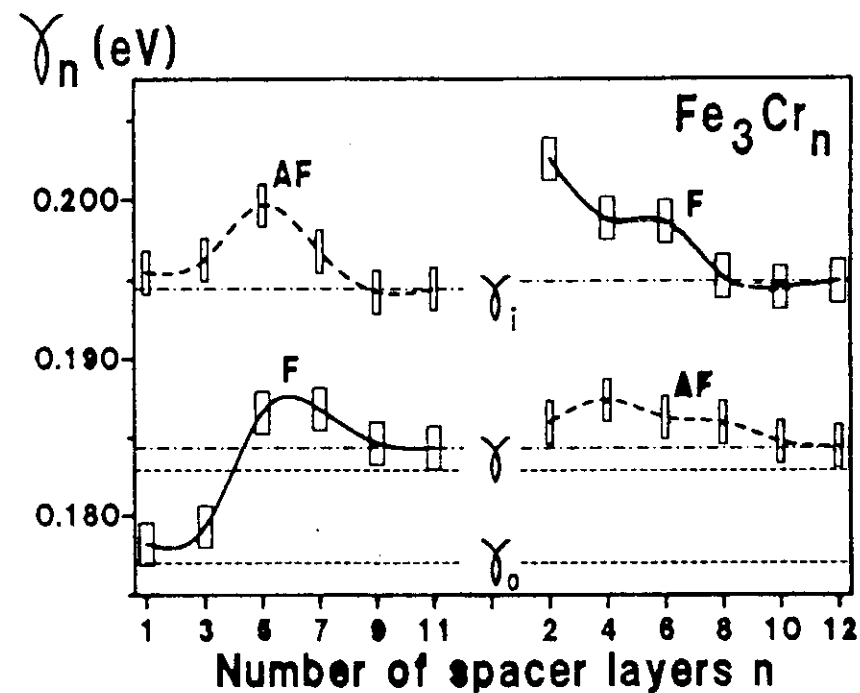
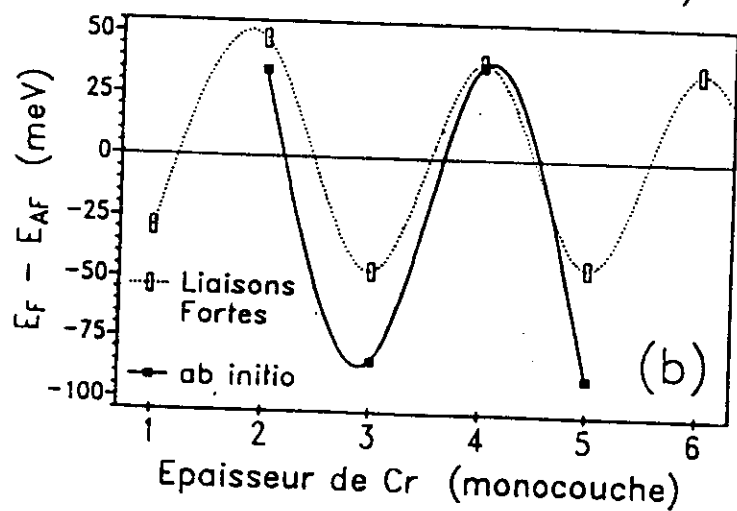
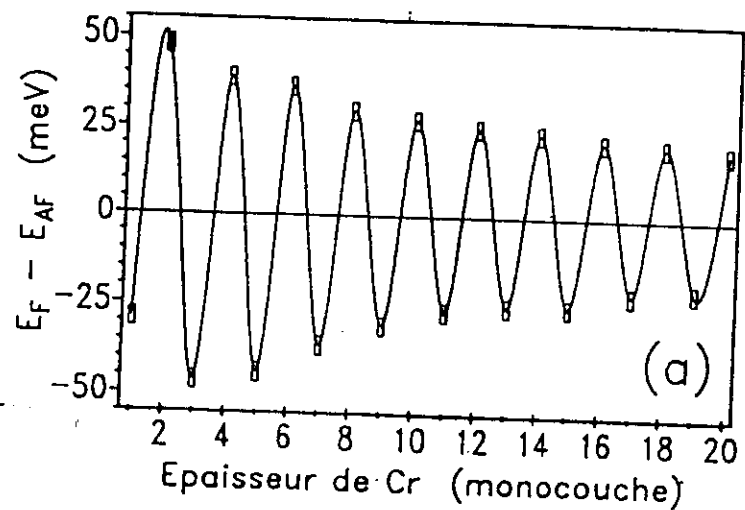


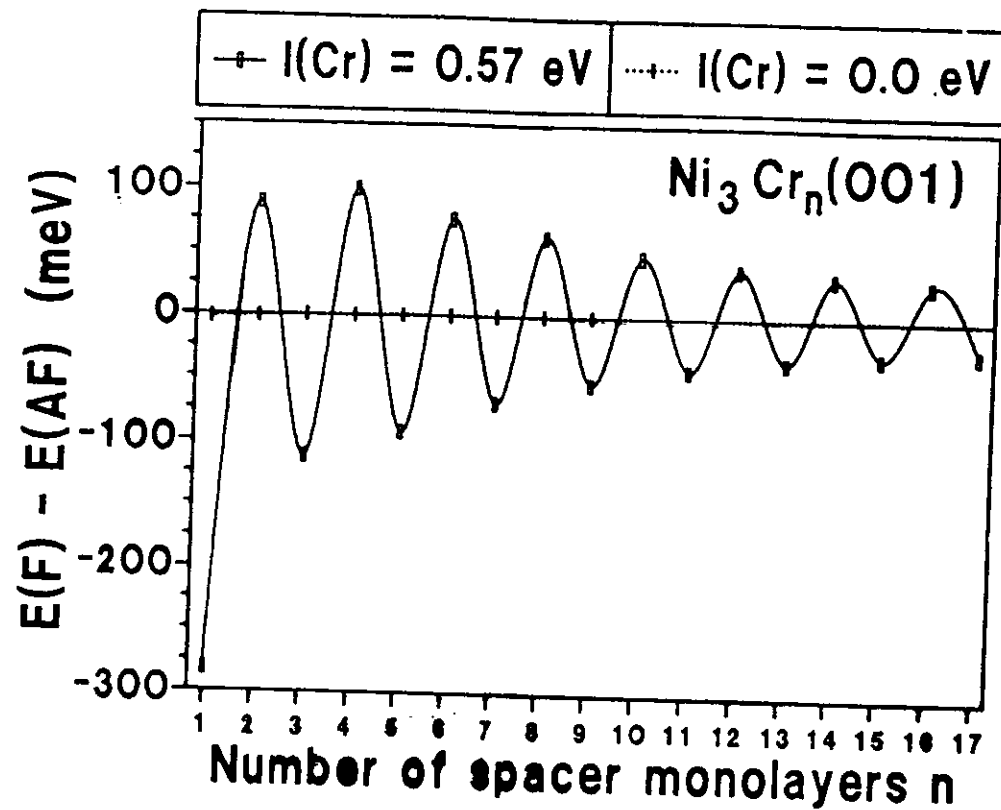
Figure 12. Interface energy γ_n as a function of the spacer thickness parity for the F and AF cases. The dash-dotted lines gives approximately the limits γ_i ($i = \text{even or odd}$) for $n \rightarrow \infty$. The dashed lines give the interface energies γ_n for a perfect Fe/Cr(001) interface between two semi-infinite crystals and for a perfect iron trilayer in chromium Cr/Fe/Cr(001).

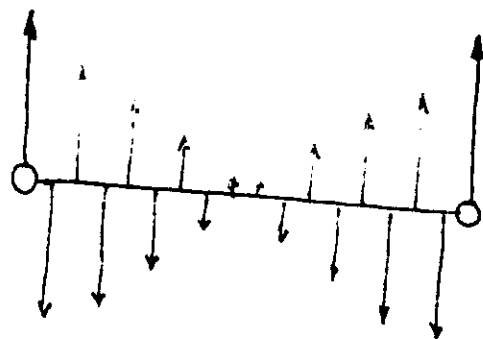
$$\gamma_n^p \rightarrow \gamma_n^{1p} \quad n \rightarrow \infty$$

$\gamma^D \sim \gamma^{AP}$

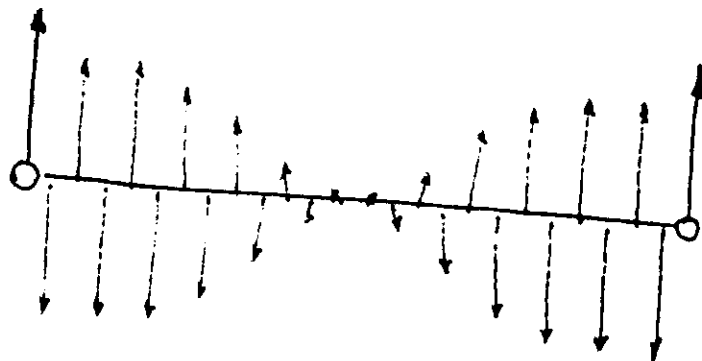


□ LF (Stoesser + F.G. 1990)

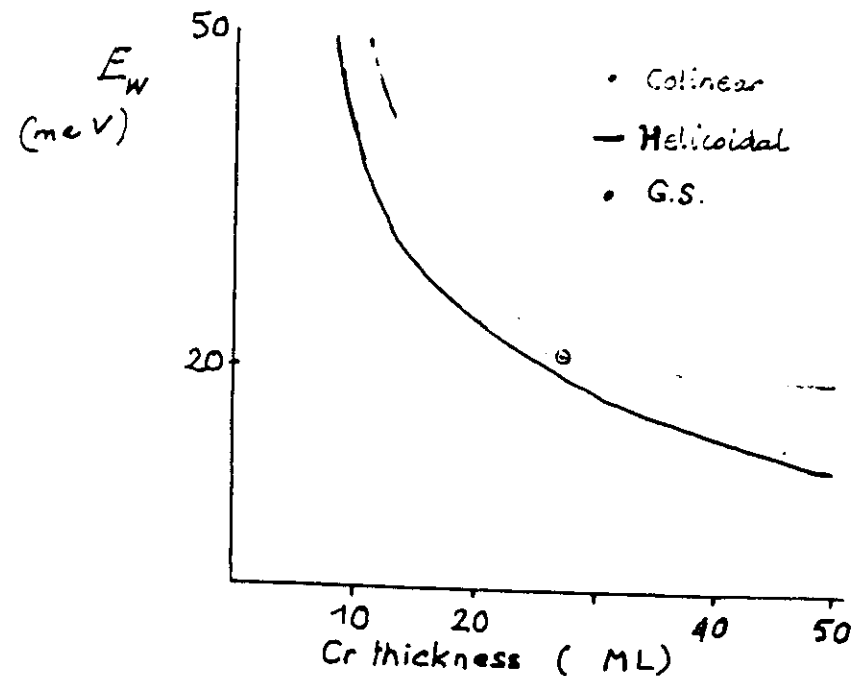




CONSTRAINED
COLINEAR
MAGNETIC WALL



NON COLINEAR
MAGNETIC WALL
with
strong reduction
of the moments
at the center
of the film

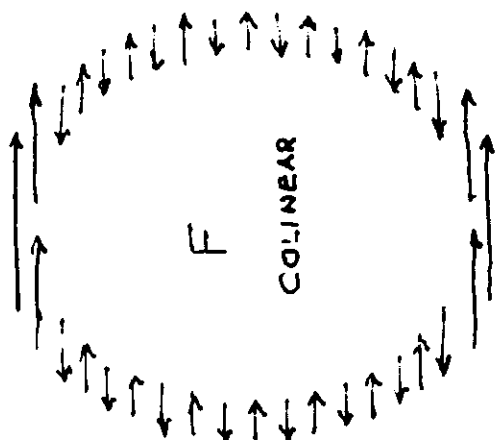
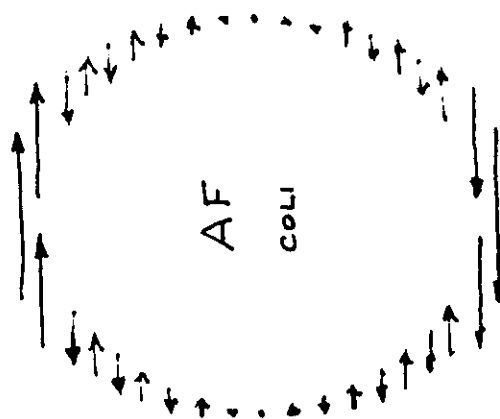


Fe/Cr/Fe

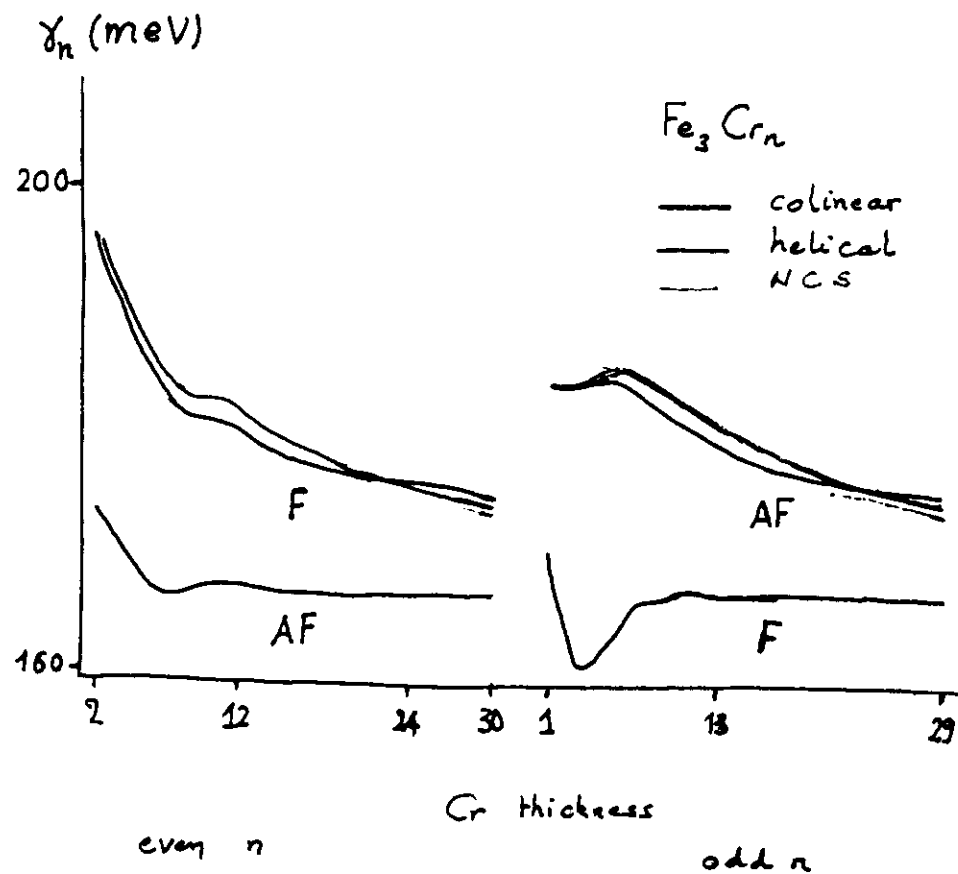
A cross over between colinear and
helicoidal walls occurs for $n_c = 27$

($\theta = \pi$)

$\text{Fe}_3\text{Cr}_{15}$



Cr ↑
Fe ↓

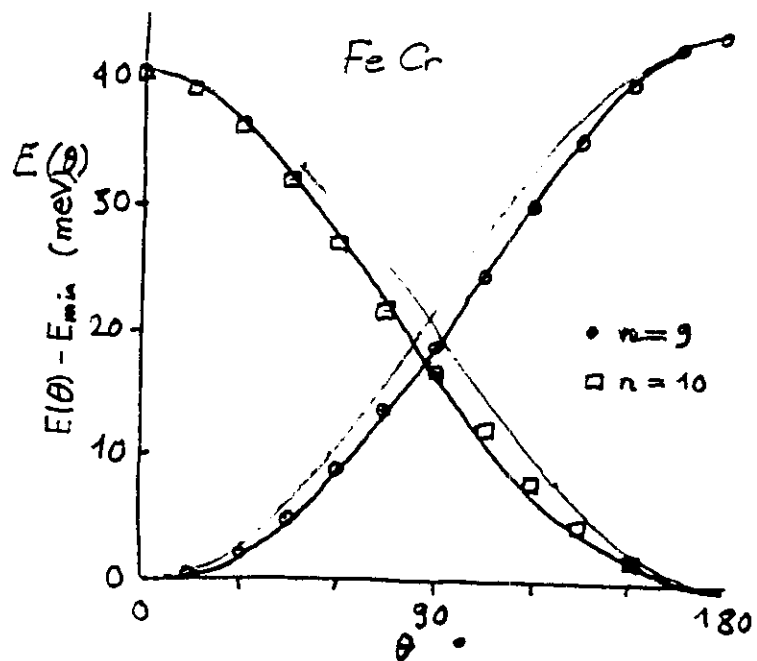


$$\gamma_n = (E(A_n B_n) - m E_A^0 - n E_B^0) / 2$$



QUADRATIC AND EQUADRATIC

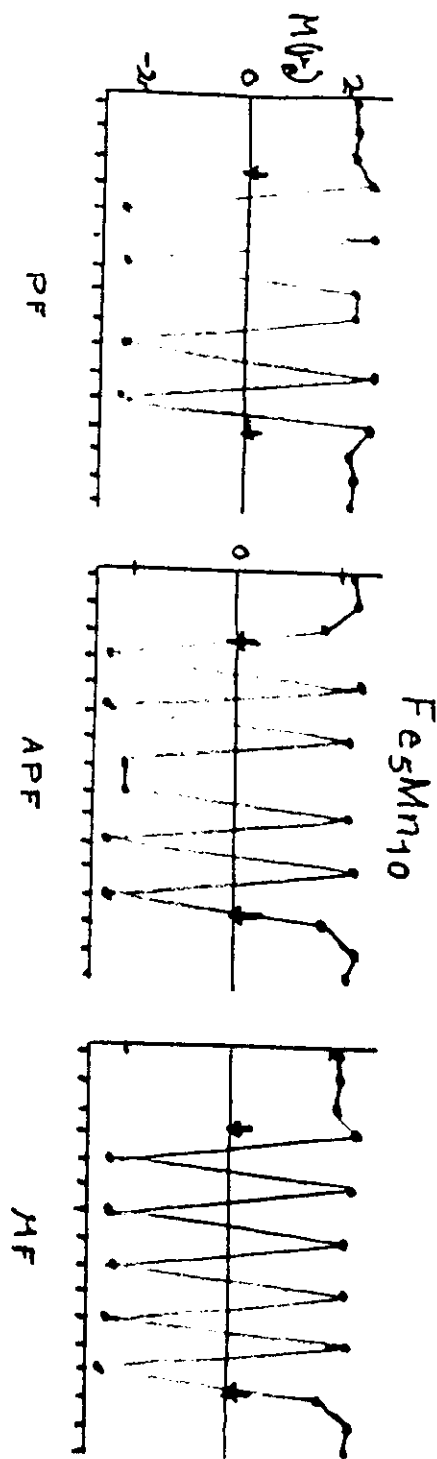
COUPLING

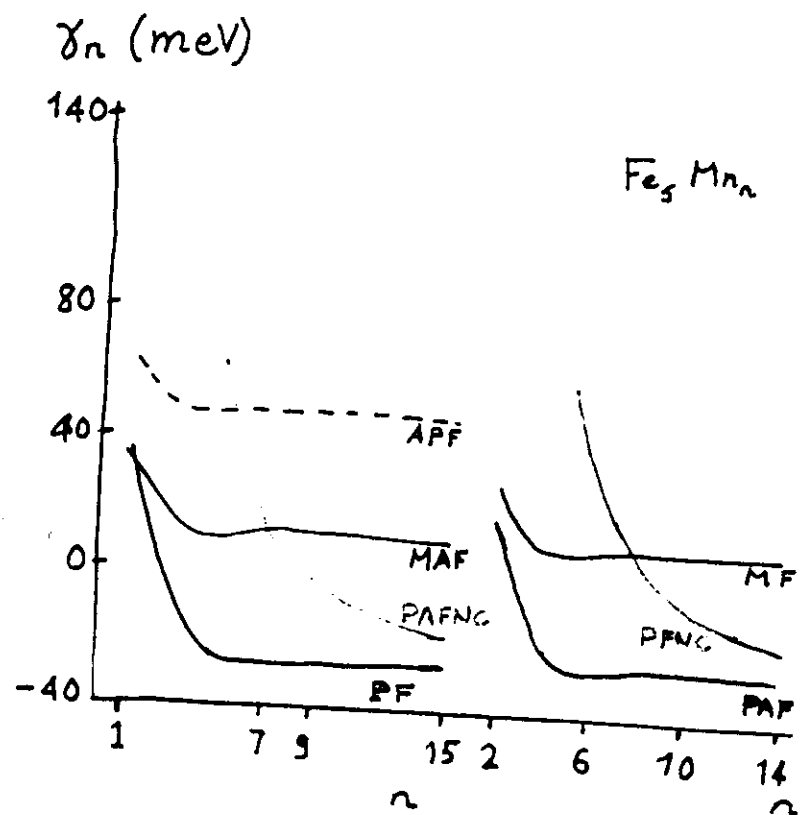


$$\Delta E(\theta) = \Delta E_0 + \alpha \cos \theta - \beta \sin^2 \theta$$

$\beta > 0$

$$|\beta/\alpha| \sim 15\%$$





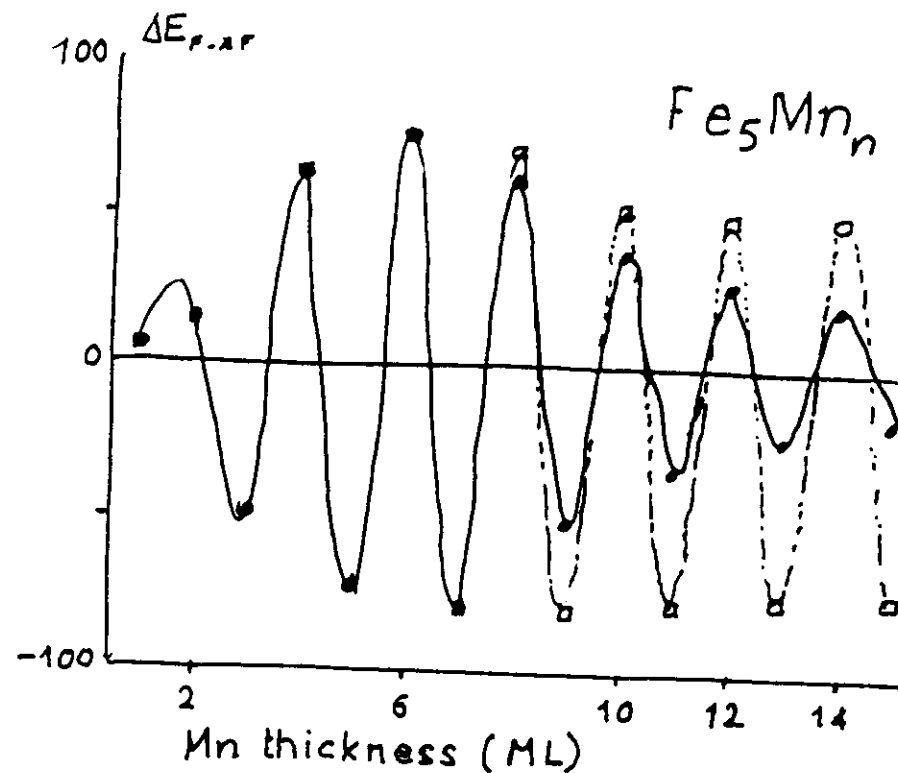
$\left\{ \begin{array}{l} P \\ AP \\ M \end{array} \right.$ parallel
 antiparallel
 mixed

interfacial coupling

$\left\{ \begin{array}{l} F \\ AF \end{array} \right.$ parallel
 antiparallel

interlayer magnetic arrangement

NC non colinear.



$n_c = 7$

--- COLINEAR
 ——— NON COLINEAR

EXCHANGE OF STABILITY BETWEEN COLINEAR AND NC

4 NON IDEAL INTERFACES AND EXCHANGE ANISOTROPY FOR FIAF INTERFACES

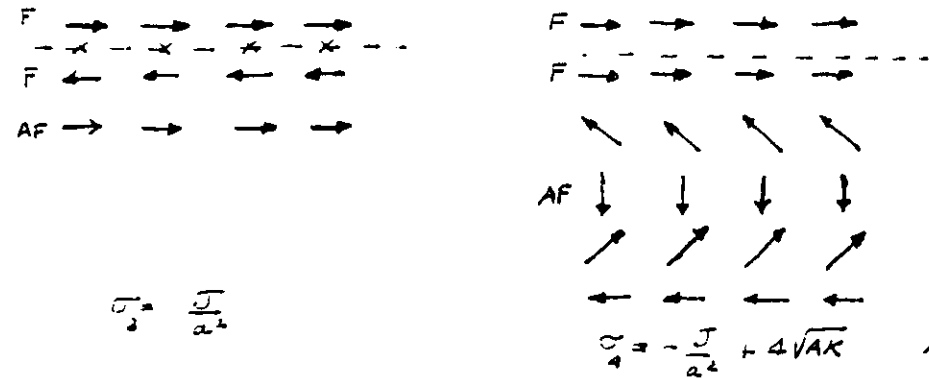
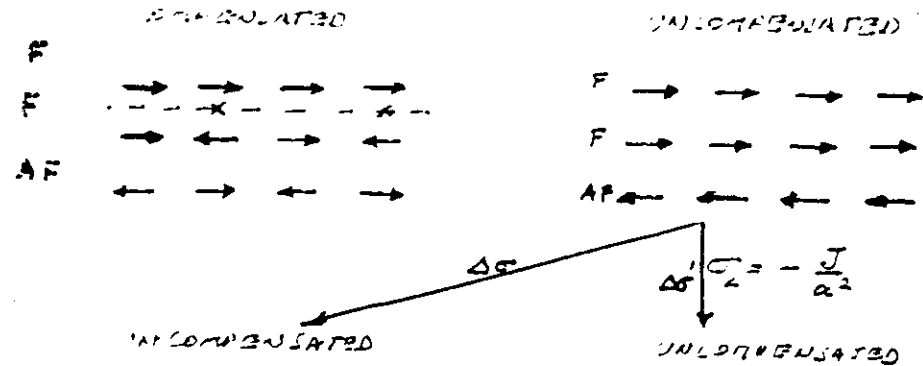
- EXCHANGE ANISOTROPY AND PINNED MAGNETIC WALLS (Molozemoff)

- HERE WE CONSIDER AF|F|AF SANDWICHES

- FOR Cr/Fe INTERFACES THERE IS NO PINNED MAGNETIC WALLS AT THE INTERFACES WHEN THEY ARE PERFECT

- FOR NON IDEAL INTERFACES SUCH A PINNING CAN EXIST AND $\Delta\sigma$ CAN BE REDUCED TO SOME mV/at .

⇒ ENERGY NEEDED TO REVERSE THE FERRO MAGN % AF MAGN



$$\sigma_2 = \frac{J}{a^2}$$

2 → 1

$$\Delta\sigma = \frac{J}{a^2}$$

3 → 4

$$\Delta\sigma' = 4\sqrt{AK}$$

$$A \sim \frac{J}{2} \text{ AF}$$

EXCHANGE ANISOTROPY FIELD

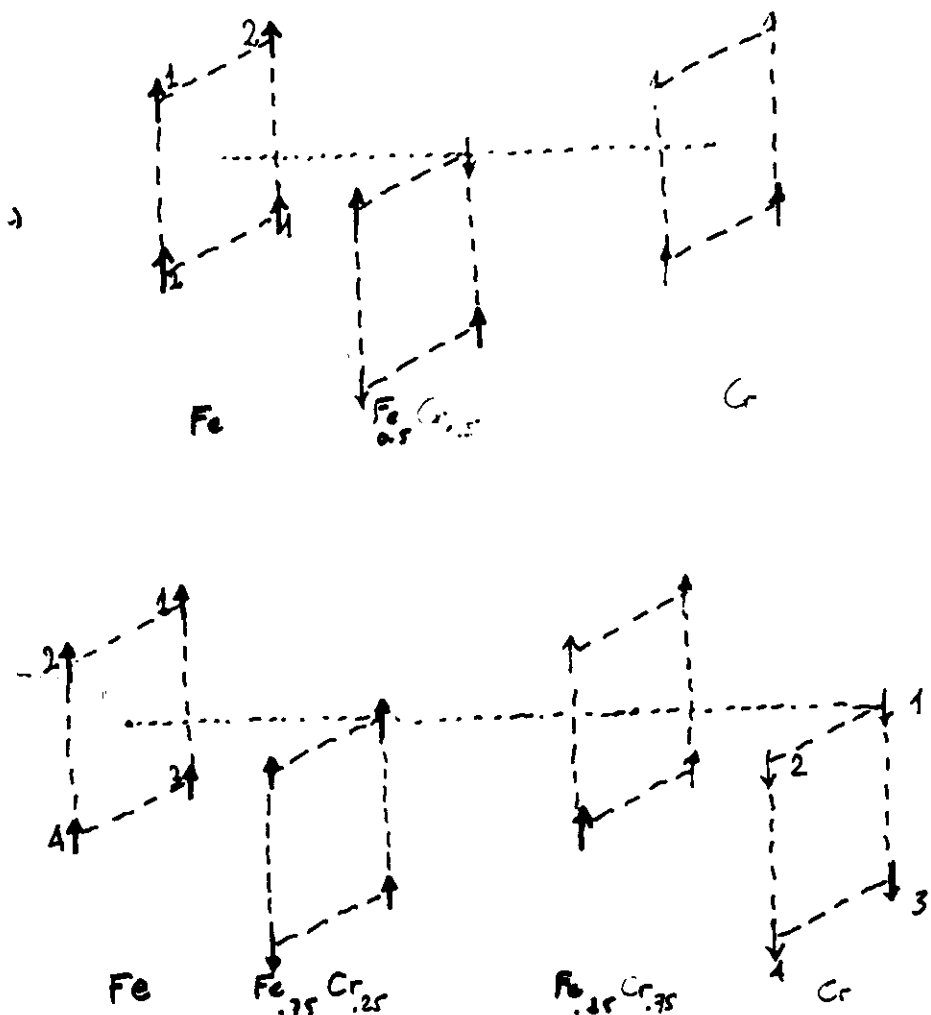
$$H_E = \frac{\Delta\sigma'}{3M_F t_F}$$

M_F MAGNETIZATION

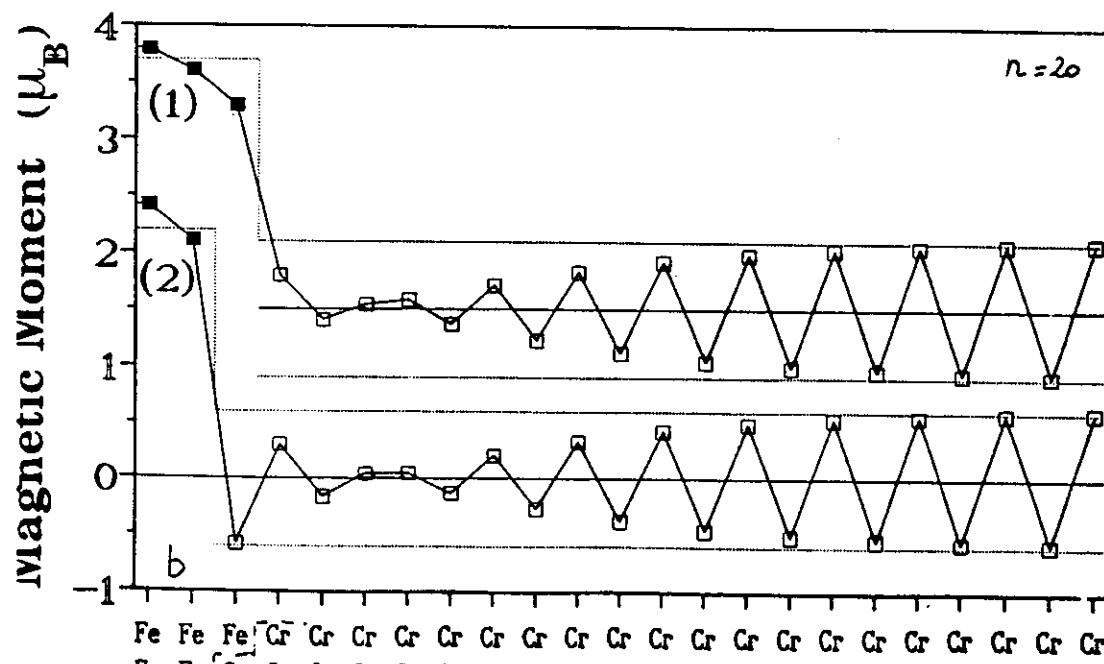
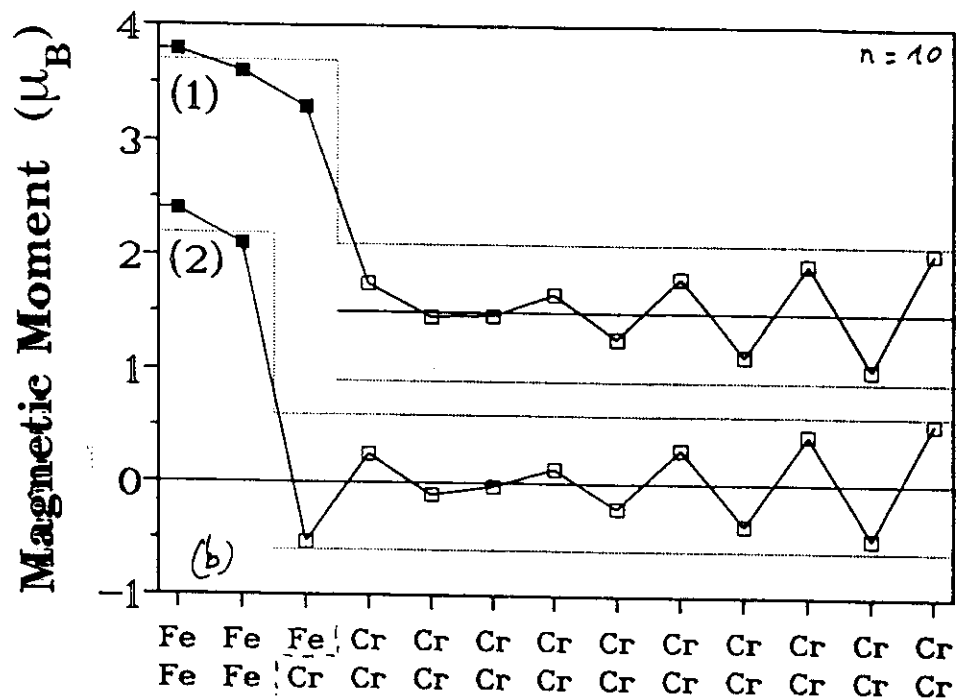
t_F THICKNESS

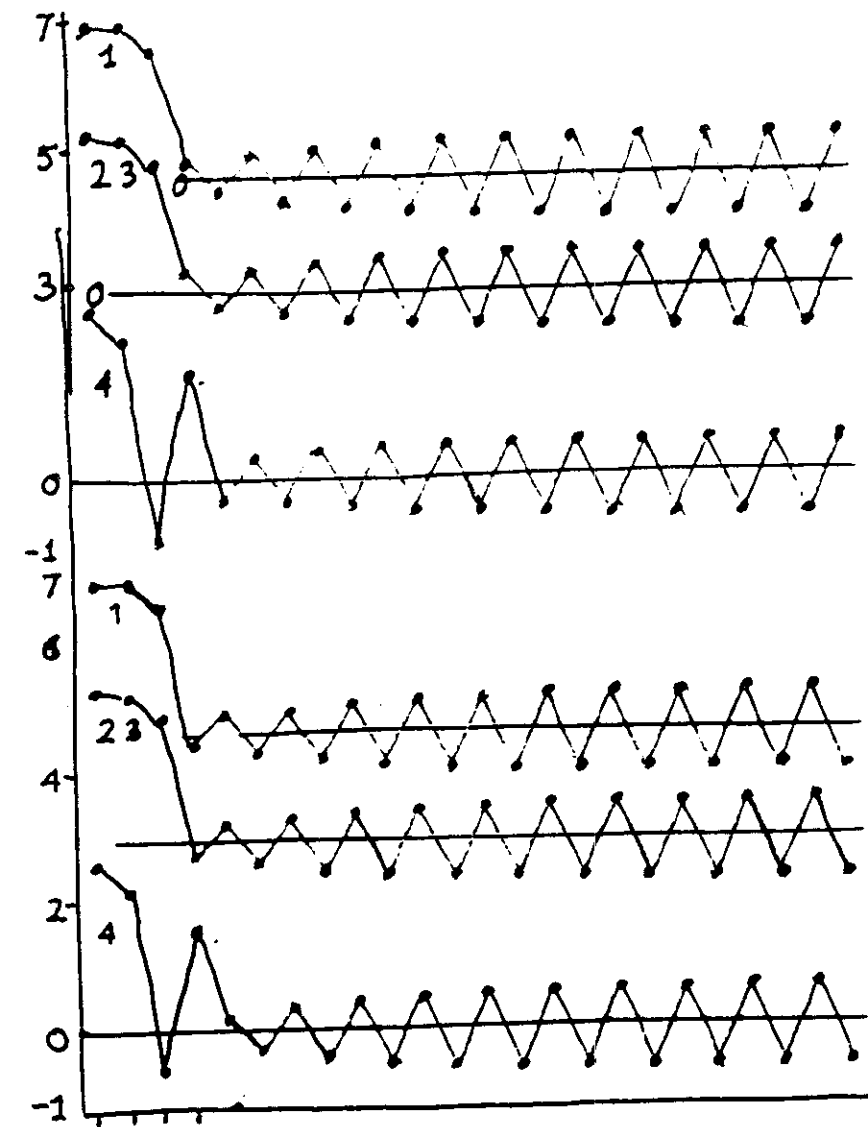
FERROMAGNET

- T_E de l'ordre de grandeur de J a priori



SANDWICH $\text{G}/\text{Fe}_5/\text{G}$ PINNING OF A MAGNETIC INTERFACIAL DEFECT



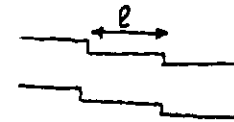


I. O. C (b) $[\text{Fe}_{0.75}\text{Cr}_{0.25}][\text{Fe}_{0.25}\text{Cr}_{0.75}]$

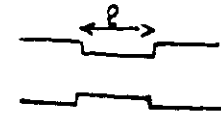
- THE MAGNETIC MOMENTS DISTRIBUTIONS ARE SIMILAR
- EXCHANGE ANISOTROPY $\sim 1 \text{ meV/at}$

5. IMC AND INTERFACIAL IMPERFECTIONS

• STEPS



• ROUGHNESS



ex Co Reu

- INTERFACIAL ORDERED COMPOUNDS (at. scale)
can strongly reduce the IMC due magnetic frustrations.

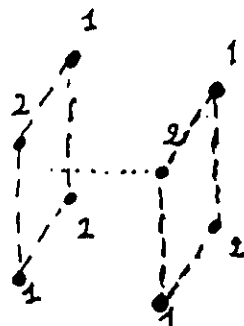
Fe Cr

OK

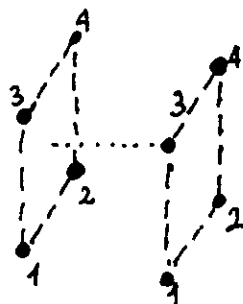
(b)



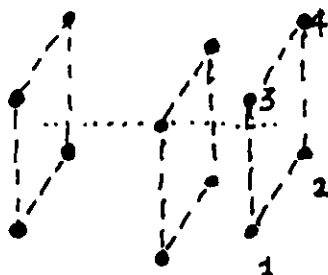
(c)



(d)

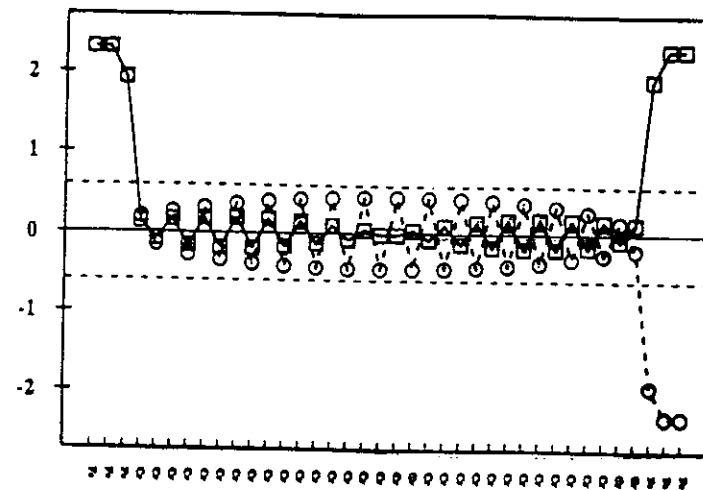


(e)

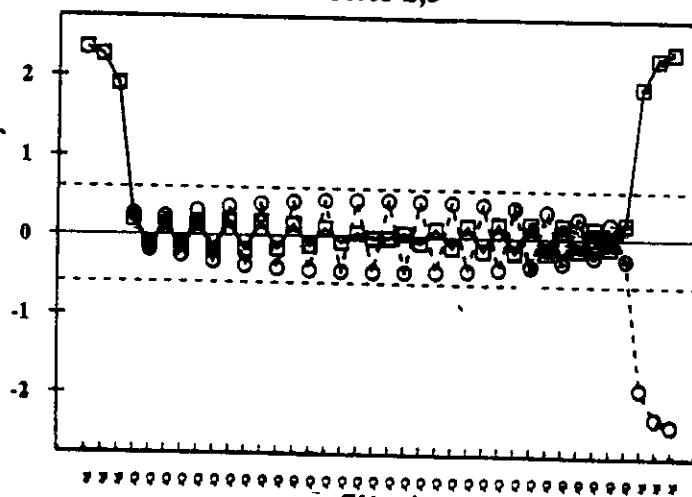


I.O.C.

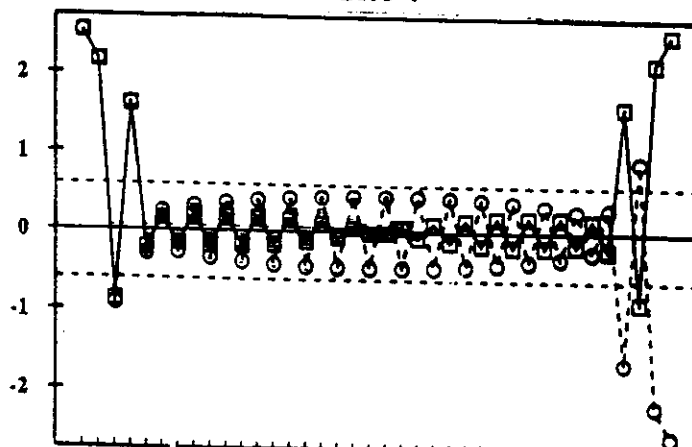
Moment magnétique (μ_B)



Sites 2,3



Site 4

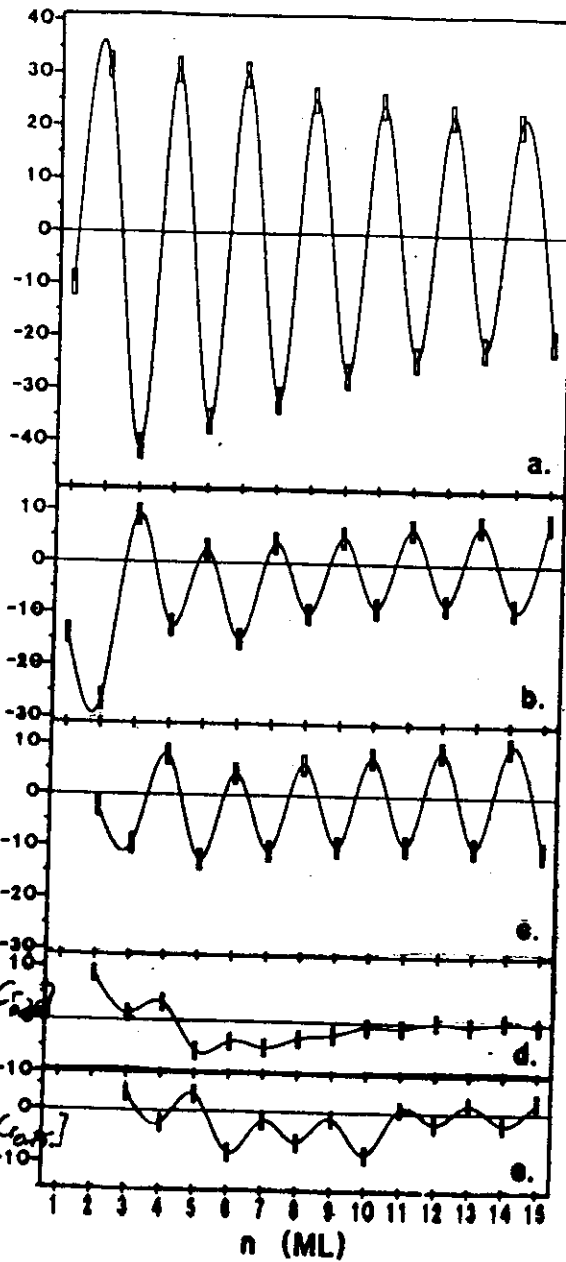


Cas d.
($n=30$)

Cr Fe

ΔE_{F-AF} (meV)

perfect
interface



$[Fe_{0.15}Cr_{0.15}] \downarrow [Fe_{0.15}Cr_{0.15}]$
 $Fe_{0.15}Cr_{0.15}$