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WORKING GROUP ON MAGNETIC MULTILAYERS
(9 - 13 August 1993)

**SEGREGATION EFFECTS ON THE MAGNETIC PROPERTIES
OF BIMETALLIC MULTILAYERS**

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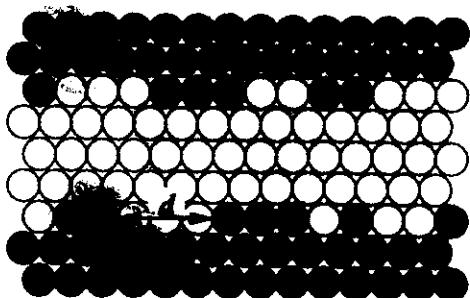
**SEGREGATION EFFECTS ON THE MAGNETIC PROPERTIES OF
BIMETALLIC MULTILAYERS**

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Structural study of cobalt-copper multilayers by NMR

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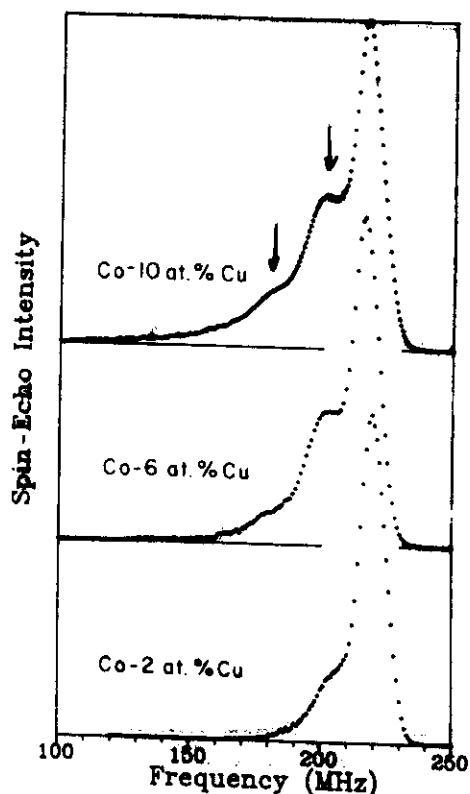


FIG. 1. ^{59}Co NMR spectra of cobalt-copper alloys with 2, 6, and 10 at. % of copper. The main line is attributed to Co with 12 Co nearest neighbors and each successive satellite to the successive substitution of Cu for Co in the vicinity of Co.

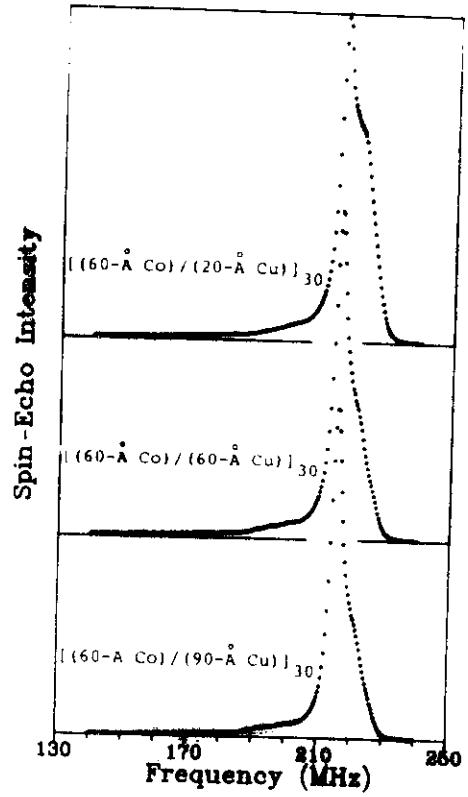


FIG. 2. NMR spectra of the multilayers with 60 Å of cobalt. The main line is attributed to fcc Co, the two upper lines to hcp Co, and the satellites at low frequencies to Co at the interfaces.

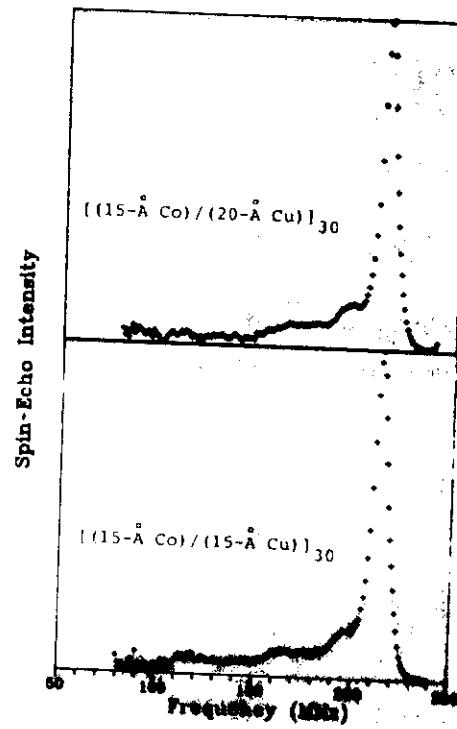


FIG. 3. NMR spectra of the multilayers with 15 Å cobalt thickness. The main line is attributed to fcc Co and the satellites to Co at the interfaces of the multilayers.

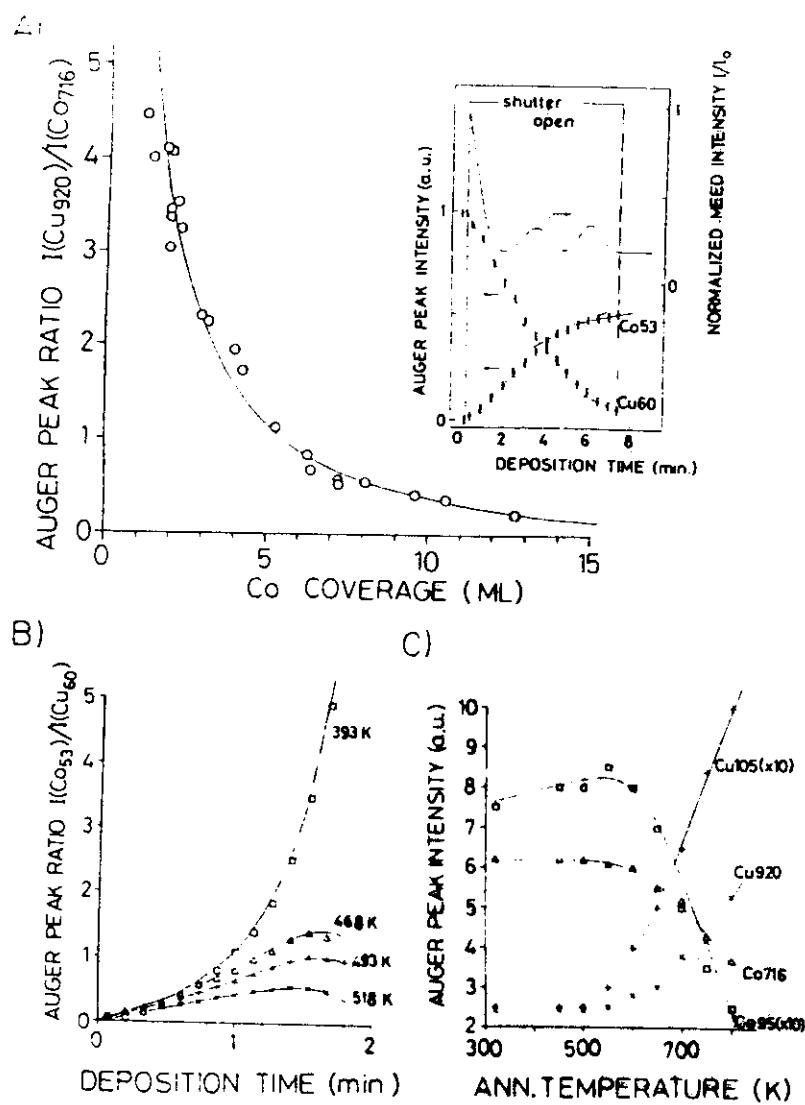


Fig. 2. (a) Ratio of the peak-to-peak intensities of the Auger peaks of Cu at 920 eV and Co at 716 eV as a function of the number of Co layers deposited at 420 K on a Cu(100) substrate. The inset shows the evolution of the low energy Auger peaks of Co and Cu displaying the characteristic breaks at completion of the first few layers; (b) ratio of the low energy Auger peaks of Co and Cu during deposition at different substrate temperatures; (c) evolution of the Auger peaks during annealing of 2.7 ML of Co 1 min at various temperatures.

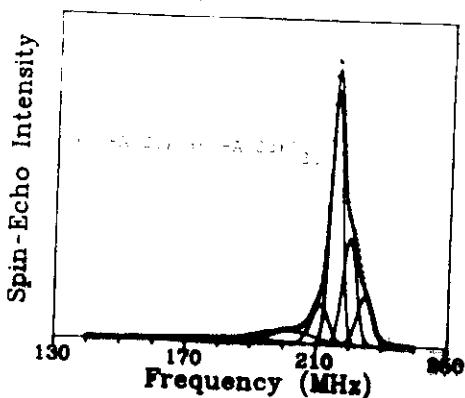
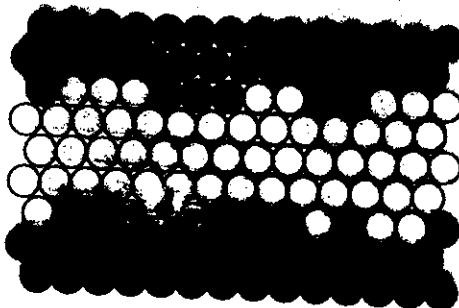


FIG. 5. Example of coarse Gaussian decomposition of a multilayer NMR spectrum.

TABLE III. Number of cobalt atoms in the interfaces of the multilayers in units of full Co monolayers per interface (FML).

Sample	Co in the interface (FML)
(15-Å Co)/(15-Å Cu)	1.7
(15-Å Co)/(20-Å Cu)	1.7
(60-Å Co)/(20-Å Cu)	3.0
(60-Å Co)/(60-Å Cu)	3.8
(60-Å Co)/(90-Å Cu)	3.5

Multilayer cross section



Invited paper

Influence of the growth conditions on the magnetic properties of fcc cobalt films: from monolayers to superlattices

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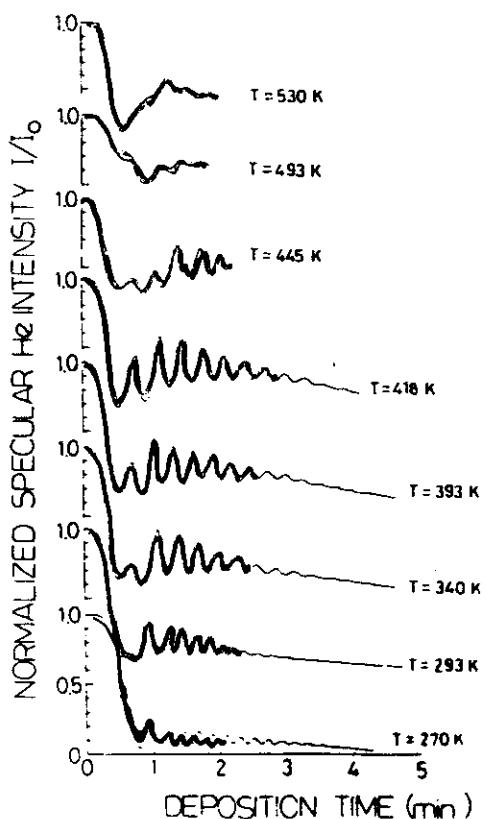


Fig. 1. Temperature dependence of the TEAS oscillations observed during deposition of Co on Cu(100) under destructive interference conditions.

TEAS
Thermal Energy Atom Scattering

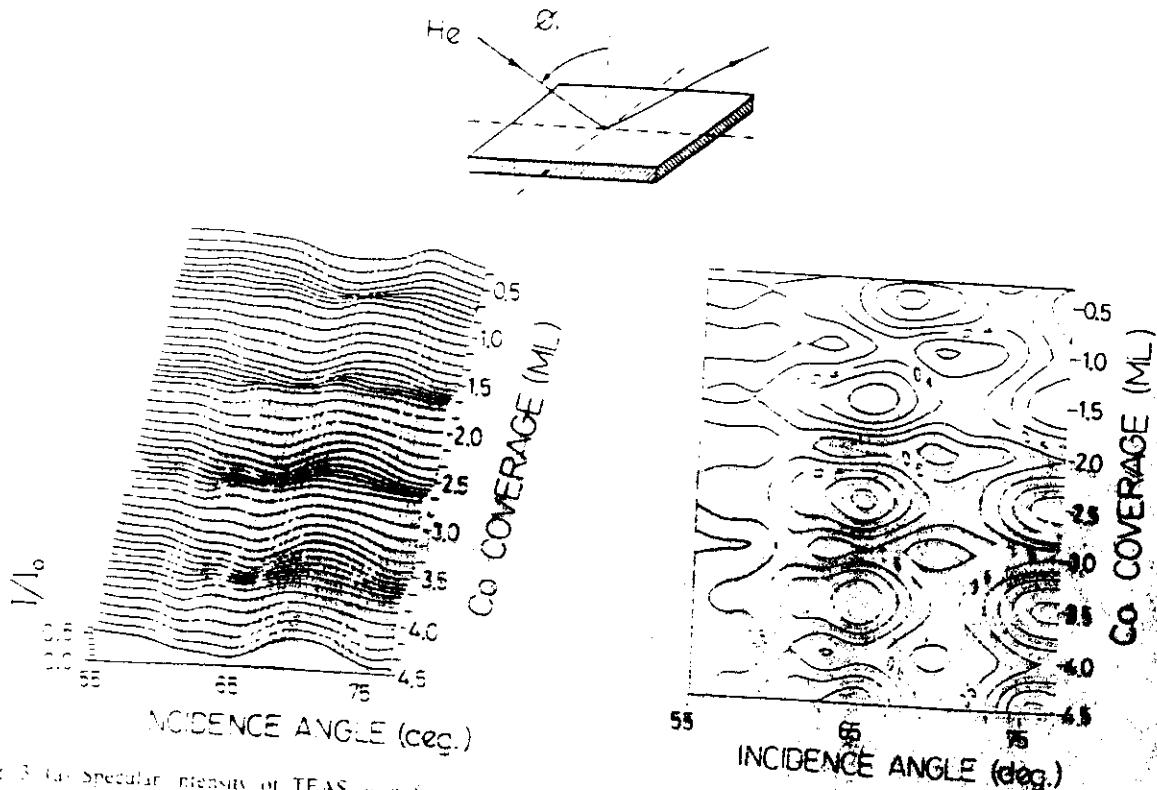


Fig. 3. (a) Specular intensity of TEAS as a function of the azimuthal angle of incidence and the deposited coverage for Co/Cu(100) layer or plot of the data in (a). For constant angle of incidence, maxima in the reflected intensity appear at distances, density of atomic terraces. The evaporation was carried out at 420 K.

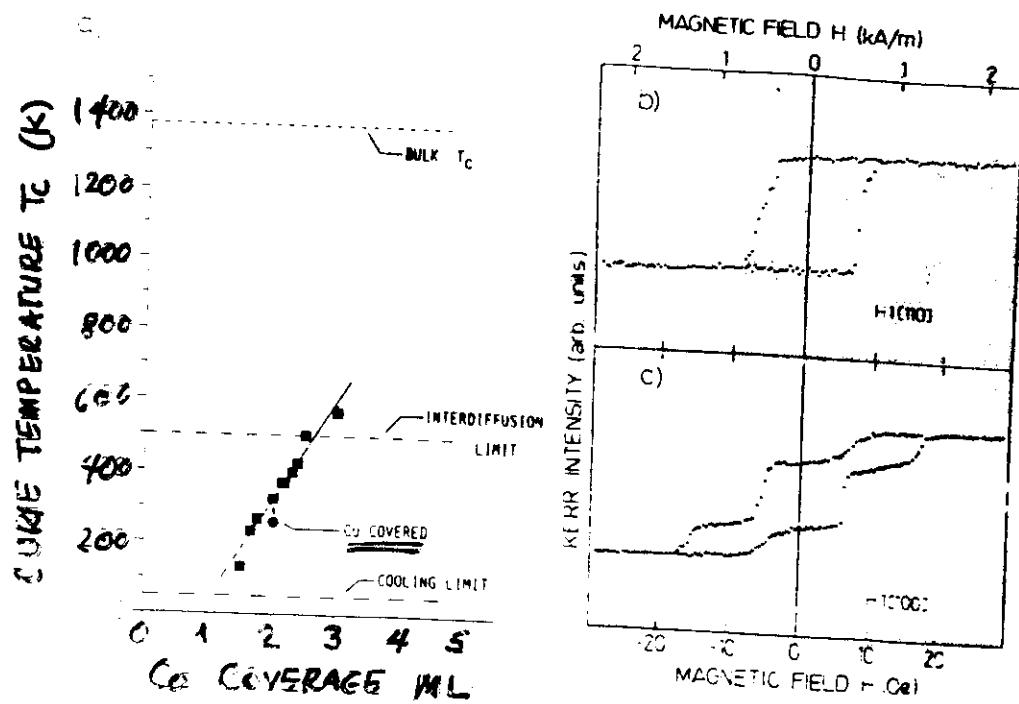


Fig. 4. (a) Coverage dependence of the Curie temperature for ultrathin films of Co/Cu(100). T_c was determined from SMOKE hysteresis curves recorded as a function of the sample temperature with the magnetizing field in-plane and normal to the surface plane. There was no component of the magnetization perpendicular to the plane. The filled circle is a data point taken after head applied in two high-symmetr directions of the film plane.

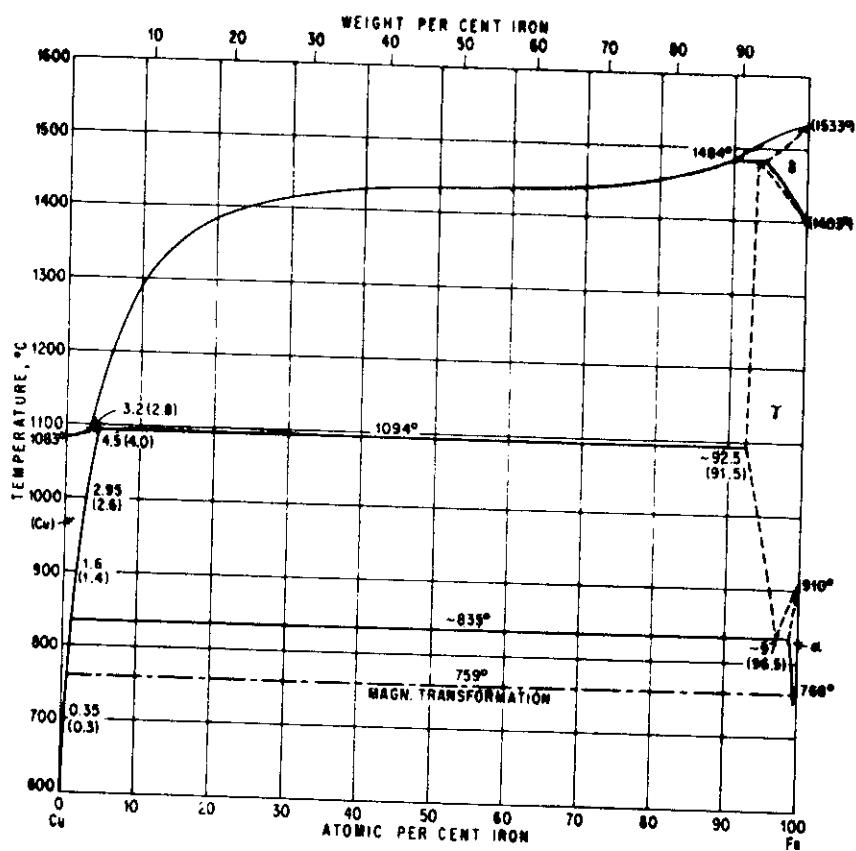


Fig. 337. Cu-Fe

Clustering in Cu-Ni alloys: A diffuse neutron-scattering study

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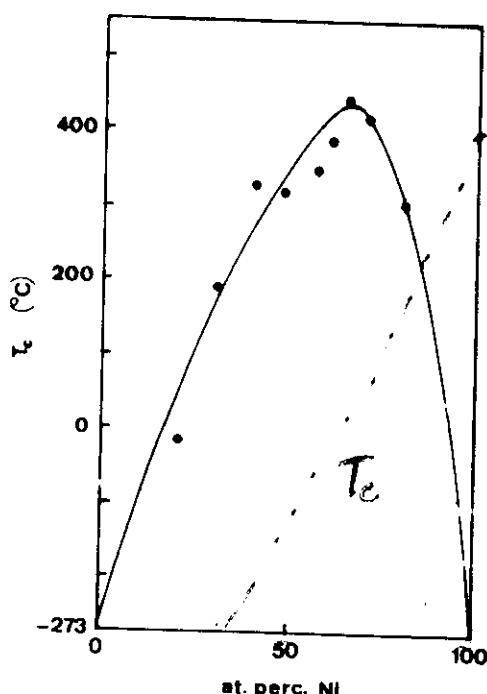


FIG. 11. Miscibility gap in Cu-Ni, calculated for the various compositions from the diffuse-neutron-scattering results with the model of Clapp and Moss. The line is drawn to guide the eye.

MAGNETISM AND SPATIAL ORDER IN TRANSITION METAL ALLOYS: EXPERIMENTAL AND THEORETICAL ASPECTS

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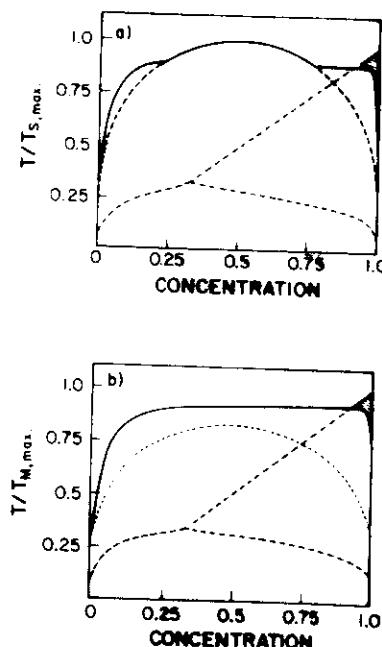


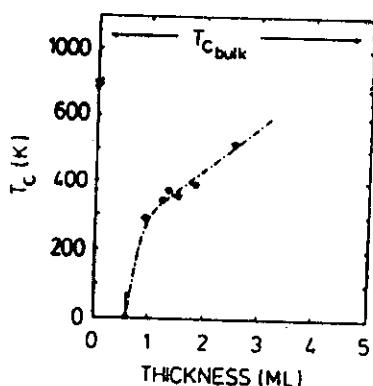
Fig. 30. Phase diagram for segregating alloys with one magnetic component as obtained in the Bragg-Williams approximation [83]. The dashed lines are the unperturbed transition temperatures.

$$kT_c = \frac{w}{2 \ln \frac{z}{z-2}}$$

Magnetic Phase Transition in Two-Dimensional Ultrathin Fe Films on Au(100)

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FIG. 1. Thickness dependence of the Curie temperature T_c as determined by spin-polarized secondary electron emission; the dashed curve is a guide to the eye.

- The phase transition is not sharp.
- There is a characteristic tail above T_c .
- The problem is:
 - contamination
 - imperfections

Magnetism of Epitaxial bcc Iron on Ag(001) Observed by Spin-Polarized Photoemission

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(Received 11 September 1987)

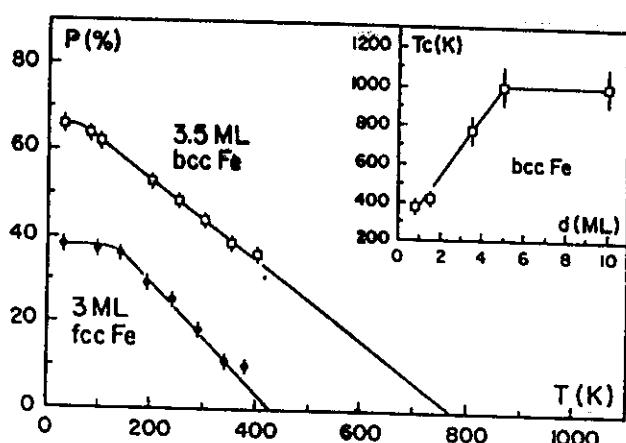
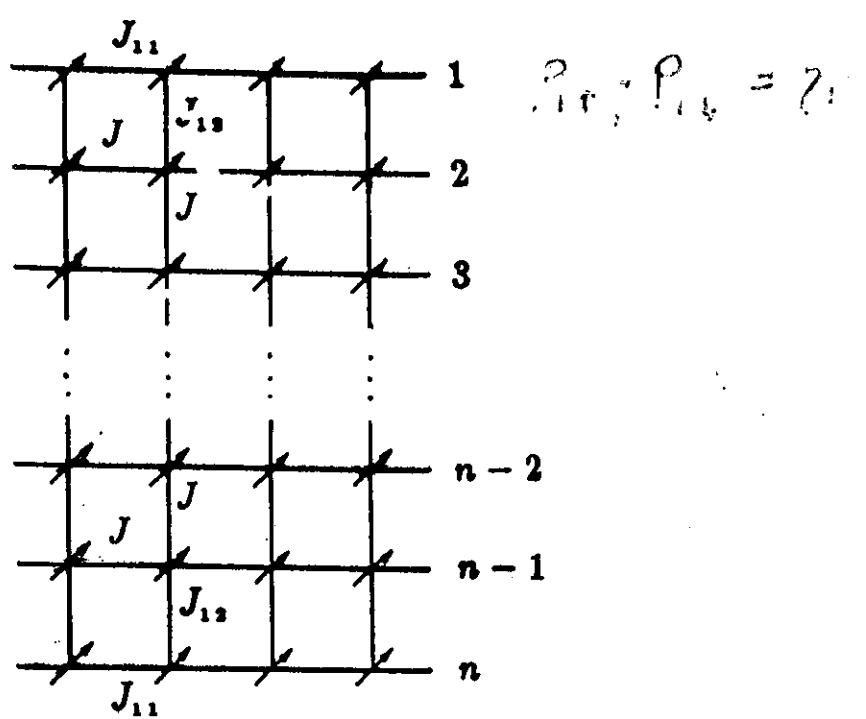


FIG. 2. Temperature dependence of the saturation polarization of a 3.5-ML-thick epitaxial bcc Fe film on Ag(001) and a 3-ML fcc Fe film on Cu(001). Inset: Thickness dependence of the Curie temperature of the bcc Fe films.



The free energy

$$F = N_{11} \left\{ \sum_{i=1} \left[-\frac{z_0}{2} J_{ii} \gamma_i^2 - z_1 J_{i,i+1} \gamma_i \gamma_{i+1} \right] + kT \sum_{i=1} \left[\frac{1+\gamma_i}{2} \ln \left(\frac{1+\gamma_i}{2} \right) + \frac{1-\gamma_i}{2} \ln \left(\frac{1-\gamma_i}{2} \right) \right] \right\}$$

The equilibrium values of γ_i are obtained by minimizing F :

$$-2(z_0 J_{00} \gamma_0 + z_1 J_{01} \gamma_1) + kT \ln \left(\frac{1+\gamma_0}{1-\gamma_0} \right) = 0$$

⋮

$$-2(z_1 J_{i-1} \gamma_{i-1} + z_0 J_{ii} \gamma_i + z_1 J_{i+1} \gamma_{i+1}) + kT \ln \left(\frac{1+\gamma_i}{1-\gamma_i} \right) = 0$$

close to the critical temperature, we can linearize this eq. and the coupled set of equations can be written:

$$\hat{A} \hat{\eta} = 0$$

$$A_{mn} = (kT_{cs} - \epsilon_0 T_{mn}) \delta_{mn} - 2, T_{mn} (\delta_{m,n+2} + \delta_{m,n+1})$$

For semi-infinite systems the critical values of T_{cs} leading to the special transition $T_{cs} = T_c = \pm J$ are obtained from

$$\det \hat{A} = 0$$

to calculate the determinant of the infinite matrix one first calculates the determinant of a $n \times n$ matrix and then take the limit $n \rightarrow \infty$

Semi-infinite surfaces.

Agrawal, Ganguly and M.L.

Phys. Rev. B 31, 7146 (1985)

If $T_{cs} > T_c$, one obtains its value from

$$\begin{vmatrix} x-a & -c & 0 & 0 & \dots \\ -c & x-b & -1 & 0 & \\ 0 & -1 & x & -1 & \dots \\ 0 & 0 & -1 & x & -1 \\ \vdots & & & & \end{vmatrix} = 0 \quad (1)$$

$$x = \frac{kT_{cs} - z_0 J}{z_0 J}, \quad a = \frac{z_0 (J_{11} - J)}{z_0 J}$$

$$b = \frac{z_0 (J_{22} - J)}{z_0 J} \quad c = \frac{J_{12}}{J}$$

The eq (1) can be written

$$(x-a) \left[(x-b) \frac{D_{n-2}}{D_{n-3}} - 1 \right] - c^2 \frac{D_{n-2}}{D_{n-3}} = 0$$

$$D_n = \begin{vmatrix} x & -1 & 0 & 0 & \dots \\ -1 & x & -1 & 0 & \\ 0 & -1 & x & -1 & \\ \vdots & & & & \end{vmatrix}$$

The determinant Δ_m has the property

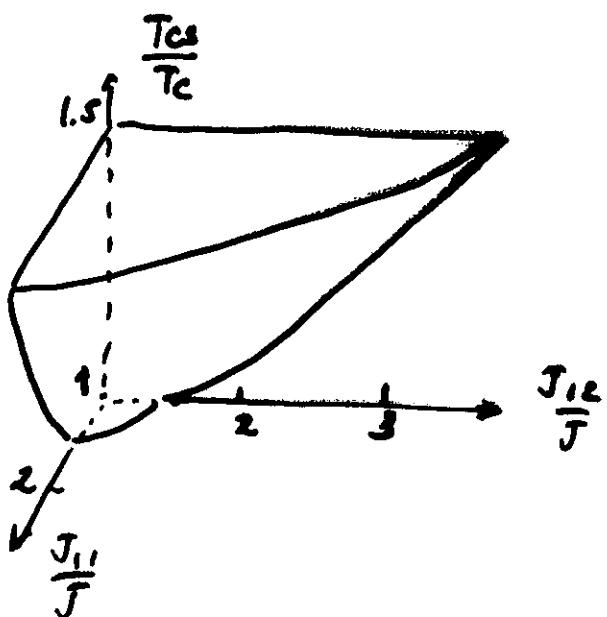
$$\frac{\Delta_m}{\Delta_{m-1}} = x - \frac{1}{\frac{\Delta_{m-1}}{\Delta_{m-2}}}$$

for $m \rightarrow \infty$ $x = \frac{\Delta_m}{\Delta_{m-1}}$ and

$$x^2 - x + 1 = 0$$

Thus T_{cs} is obtained from

$$6x^3 - (1 - c^2 + 2ab + b^2)x^2 + [aa(ab - a^2)(a + ab)]x - a^2(ab - c)^2 = 0$$



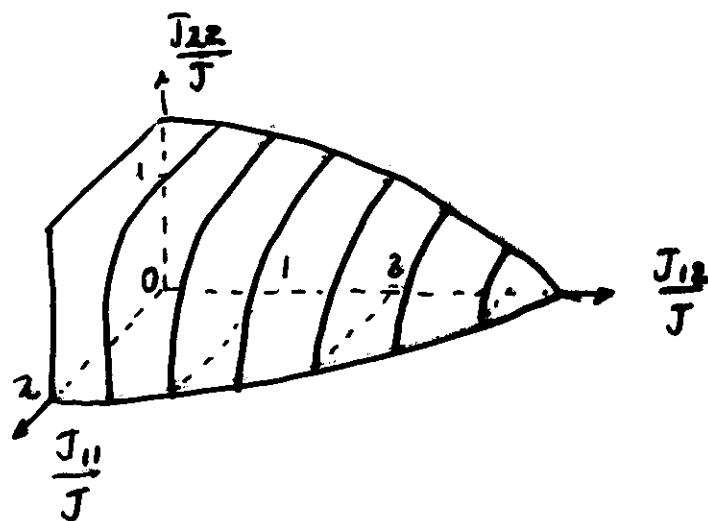
In the case $\bar{J}_{mn} \neq J$ $m, n = 1, 2$

$$\begin{aligned} & z_0 \bar{J}_{n,n} + z_0 J_{n,n}^2 \left[(z_0 \bar{J}_{n,n,c} - zJ) (z, J)^{n-2} D_{n-2} - (z, J)^{n-1} D_{n-3} \right] \\ & - (z, J \bar{J}_{n,n,c})^2 (z, J)^{n-2} D_{n-2} = 0 \end{aligned}$$

$$D_m = \begin{vmatrix} -2 & 1 & 0 & \dots \\ 1 & -2 & 1 & \\ \vdots & & & \end{vmatrix} = (-1)^m (m+1)$$

for $n = 2$

$$\frac{zJ - z_0 J_{n,n,c}}{z, J} \left[\frac{zJ - z_0 J_{n,n,c}}{z, J} - \frac{n-2}{n-1} \right] = \left(\frac{\bar{J}_{n,n,c}}{J} \right)^2$$



fcc (111)
 $Z_0 = 6, Z_c = 3$

Thin films.

In thin films there is only one T_c for the whole system.

$$\text{For } n = \begin{cases} 1 & kT_c = z_0 J_{11} \\ 2 & kT_c = z_0 J_{11} + z_1 J_{12} \end{cases}$$

$$\text{For } n=3 \quad x = \frac{1}{2} (a + \sqrt{a^2 + 8c^2}) ; \quad x = \frac{6T_c - a}{4J}$$

$$a = \frac{6c(5M+1)}{4J} \quad c = \frac{J_{12}}{J}$$

in general for $n \geq 4$

$$(x-a)^2 \sin n\theta - 2(x-a)c^n \sin((n-1)\theta) + c^n \sin(n-1)\theta = 0$$

$$\tan \theta = \sqrt{4x^2 - 1}$$

Aguilera-Granja and M L
Solid State Commun. 74, 185 (90)

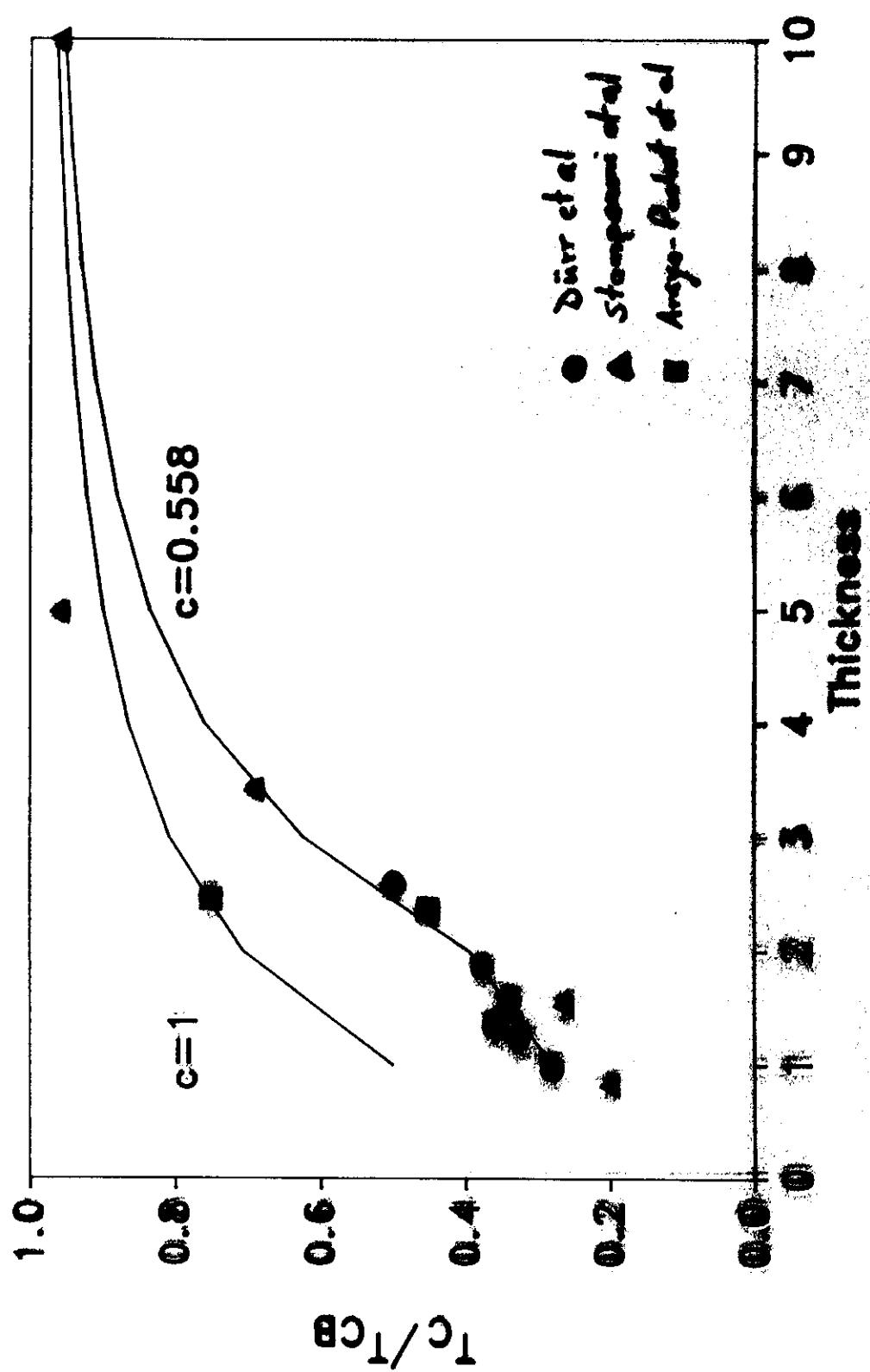
This equation was obtained by using the cofactor expansion and the identity

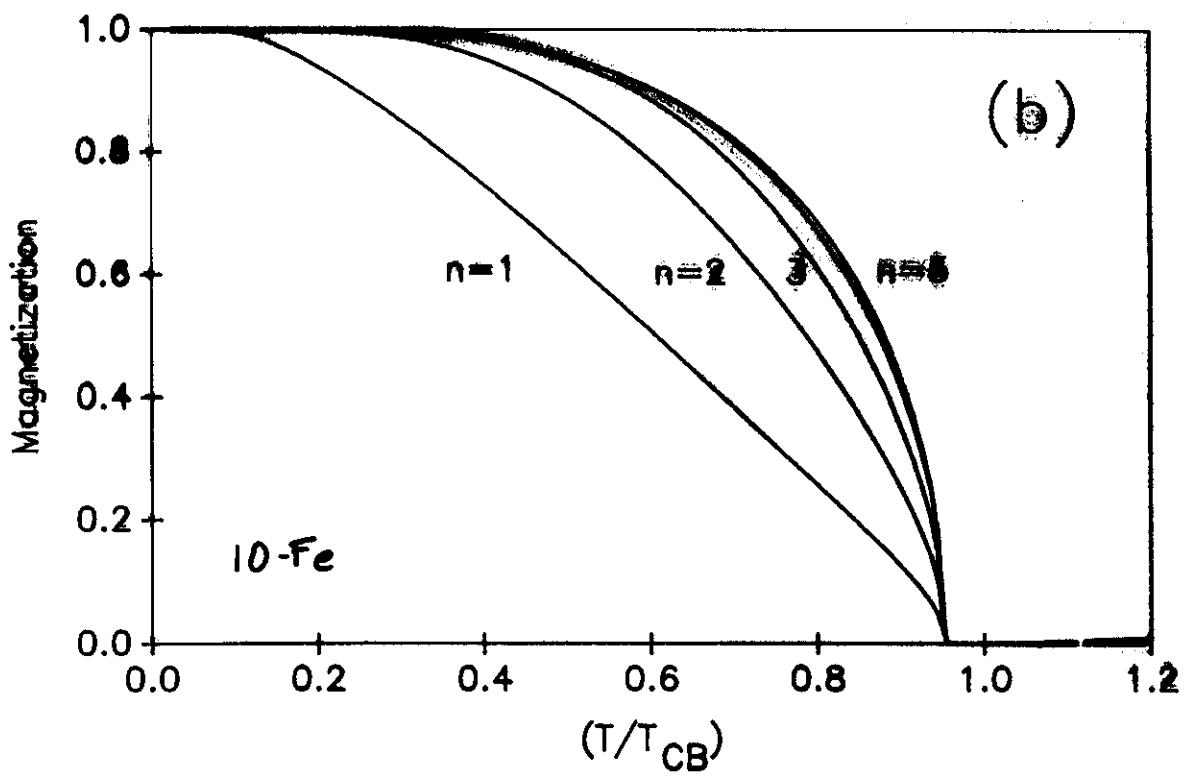
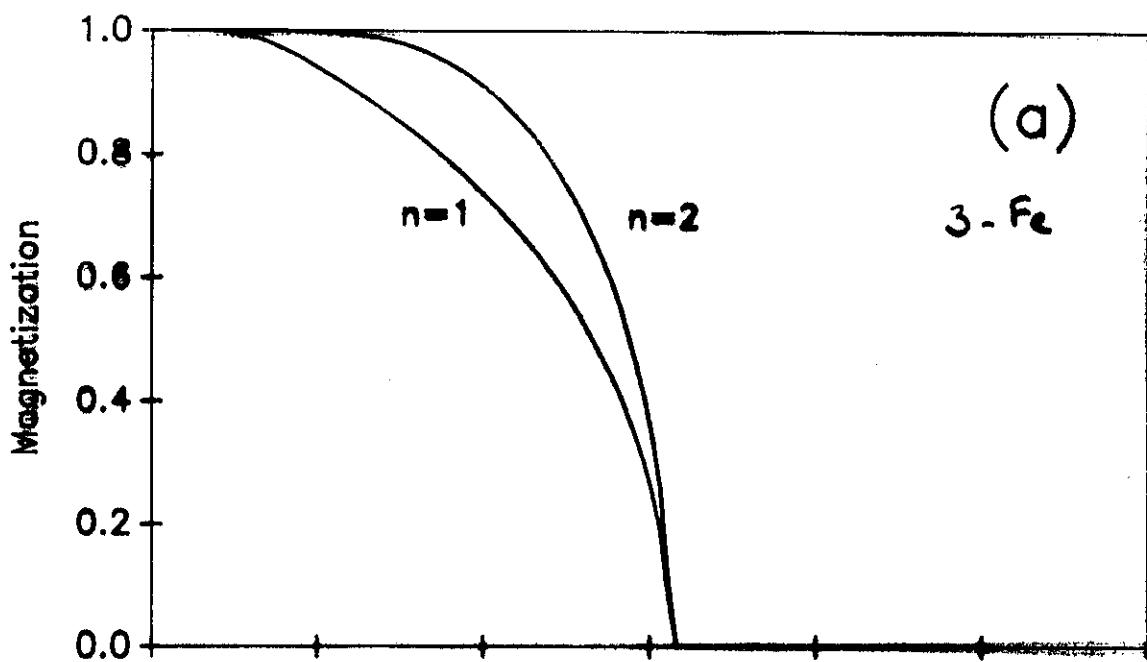
$$\begin{vmatrix} 1 & -y & 0 & \dots & 0 \\ -y & 1 & -y & \dots & 0 \\ 0 & -y & 1 & \dots & 0 \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & 0 & \dots & 1 \end{vmatrix}_{i+1} = \frac{-y^{i+1}}{\sqrt{i!}} \sin((i+1)\theta)$$

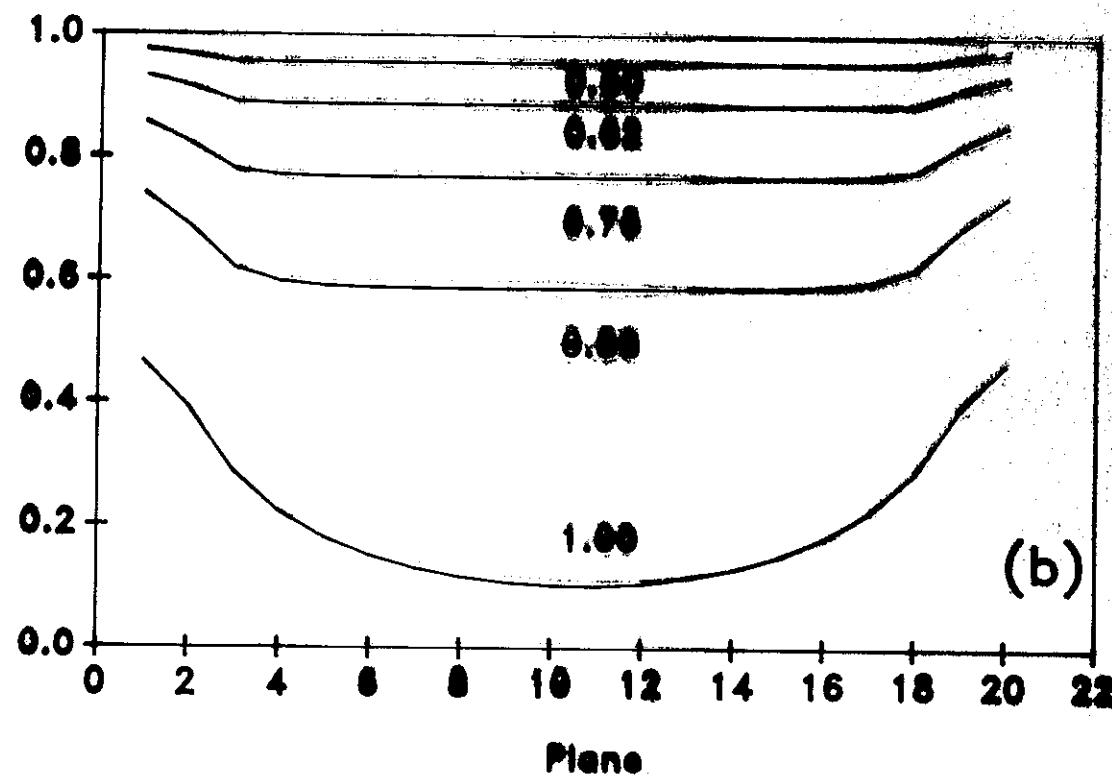
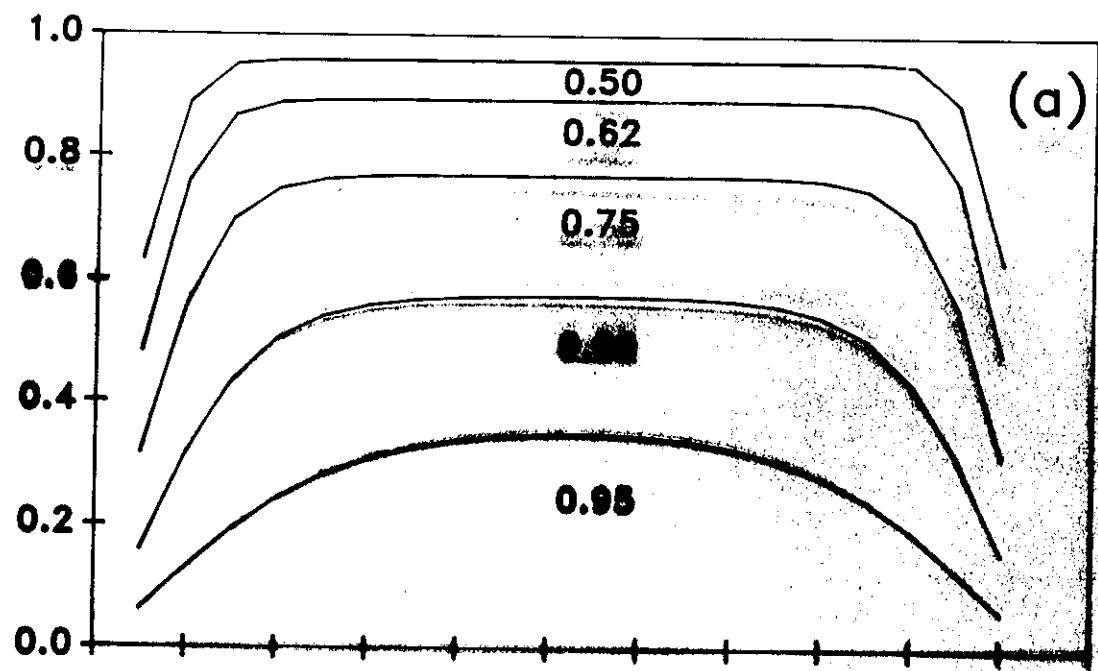
Superlattices.

Orfiz-Saavedra, Aguilera-Granja and
ML

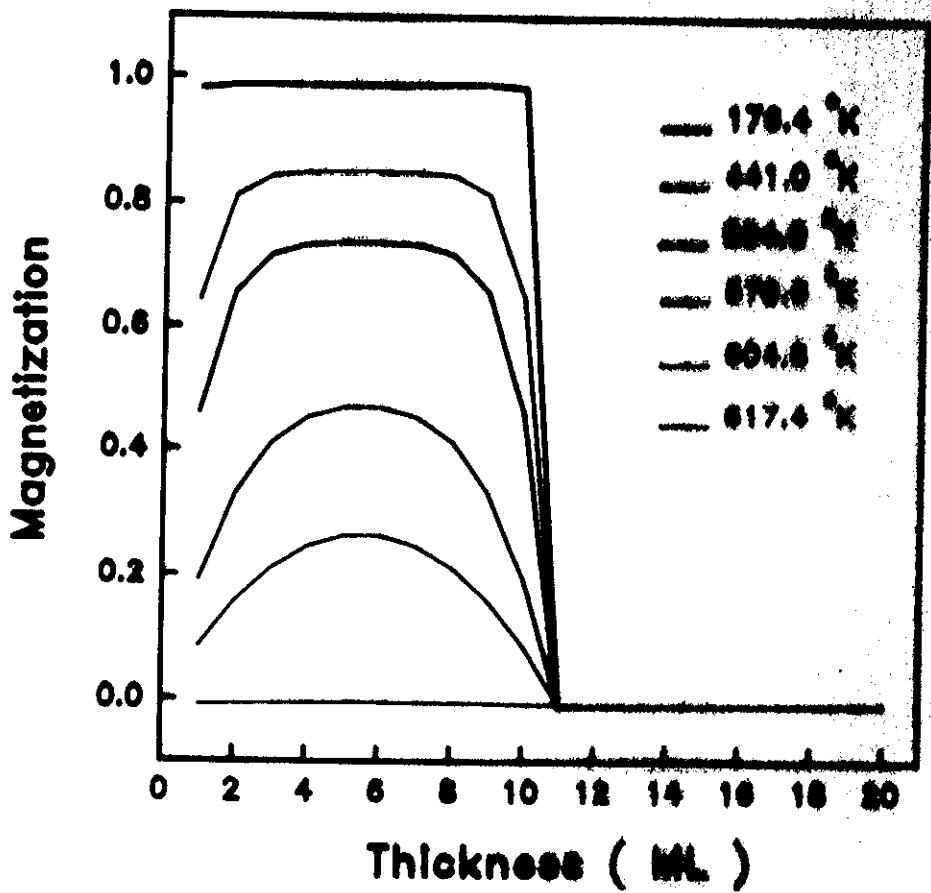
Solid State Commun. 82, 71 (1992)





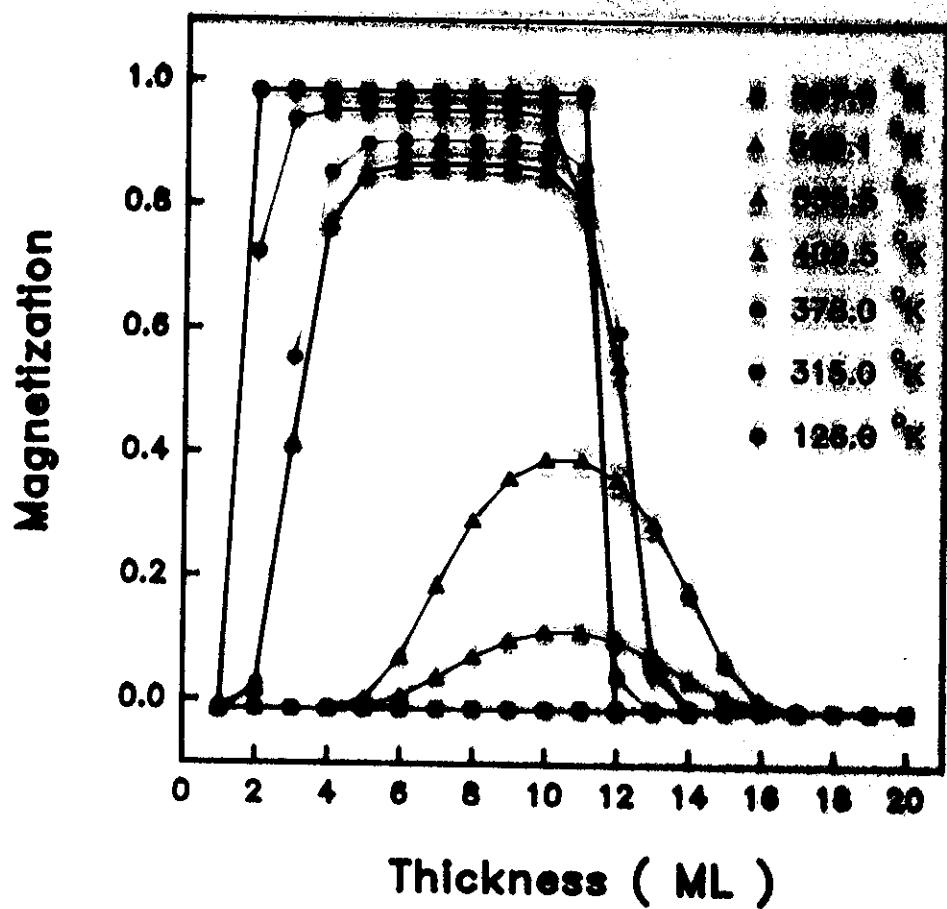


NiCu <111>

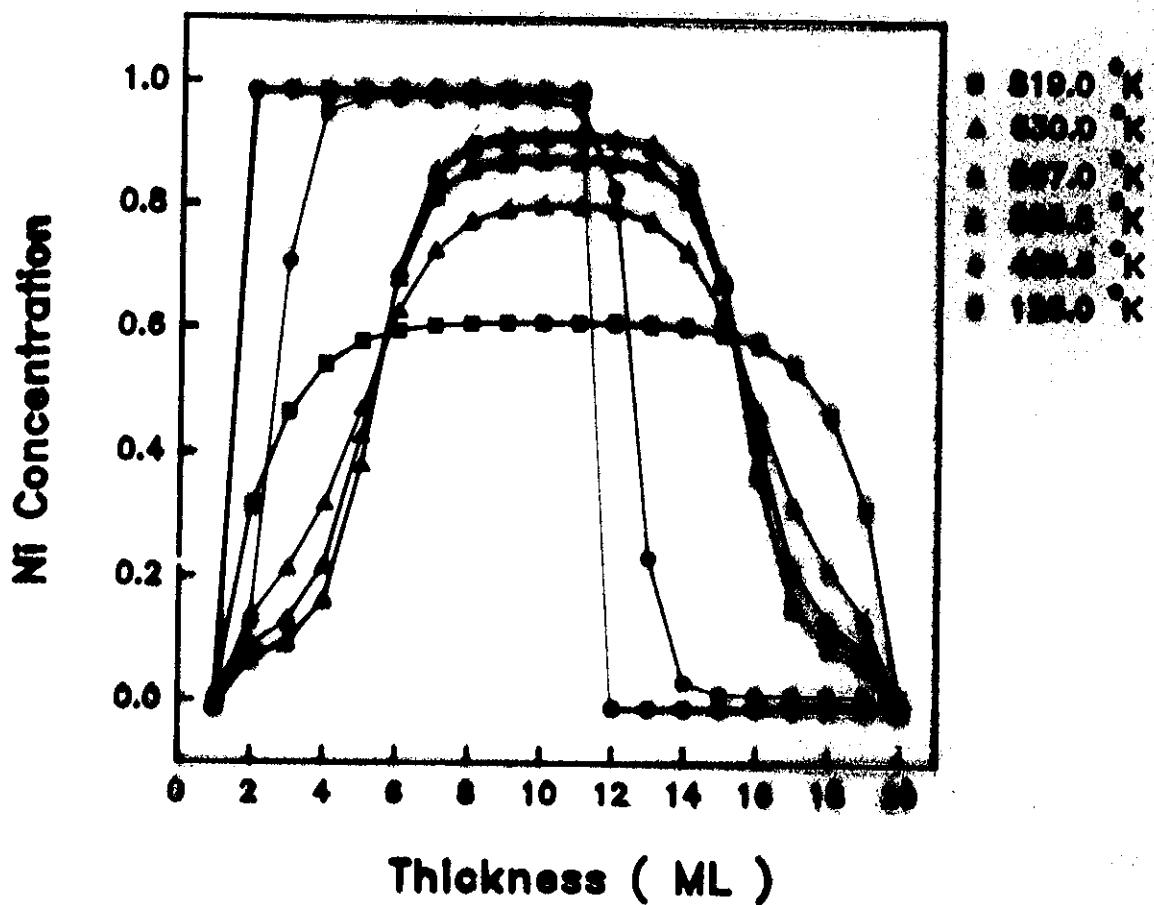


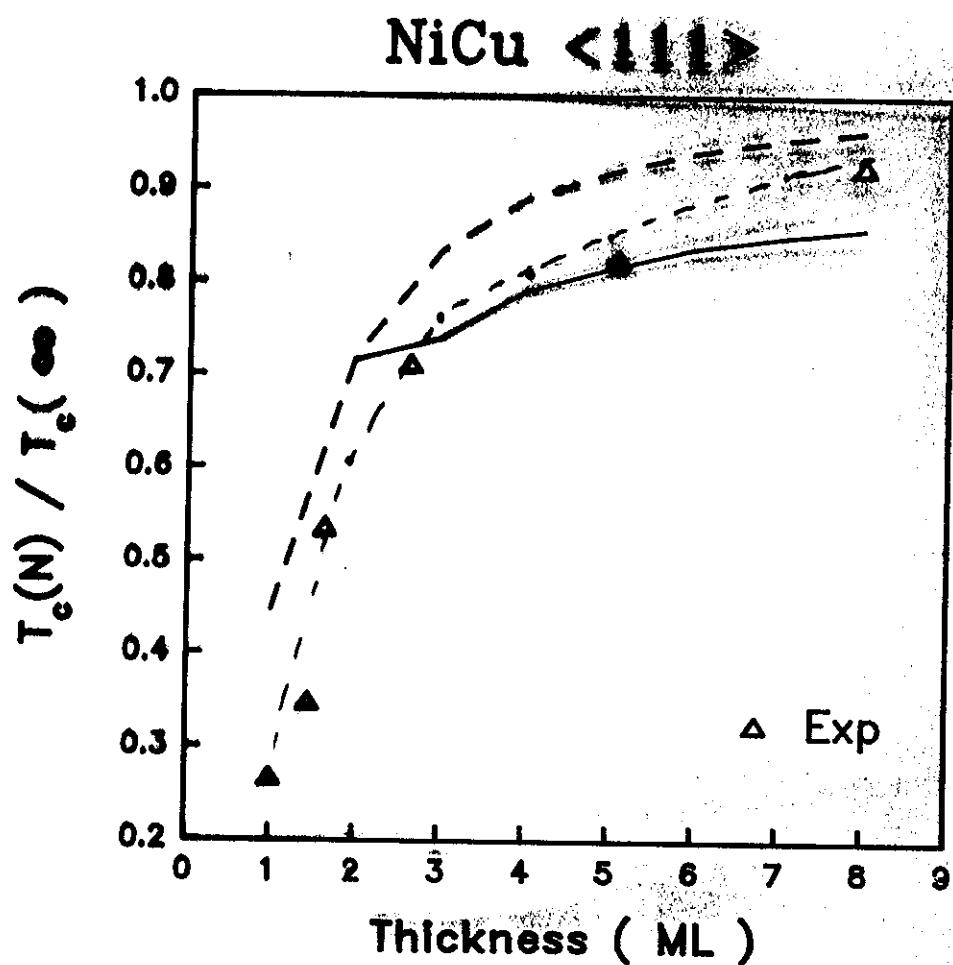
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NiCu <111>



NiCu <111>





$$J_{11} = 0.6 \text{ J}$$

$$J_{12} = 1.38 \text{ J}$$

$$J_{22} = 0.65 \text{ J}$$