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"Publications on Nonlinear Time Series Analysis"

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These are preliminary lecture notes, intended only for distribution to participants

Publications on Nonlinear Time Series Analysis

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The list is far from being complete. (B1992) indicates a Book published in 1992. Some books are included for containing one article on the subject. Numbers in parentheses are those in *Bibliography on Chaos*, World Scientific (1991), compiled by Zhang Shu-yu. Amendments are welcome to the above address.

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