



INTERNATIONAL ATOMIC ENERGY AGENCY
UNITED NATIONS EDUCATIONAL, SCIENTIFIC AND CULTURAL ORGANIZATION



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AUTUMN COURSE ON GEOMAGNETISM, THE IONOSPHERE
AND MAGNETOSPHERE

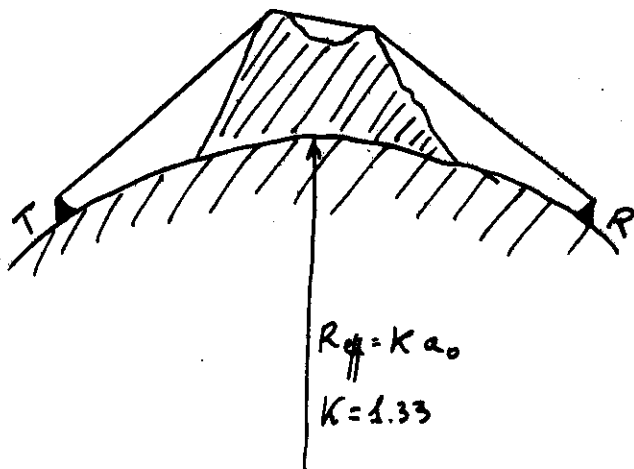
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ASSORTED NOTES

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These are preliminary lecture notes, intended only for distribution to participants.
Missing or extra copies are available from Room 230.

MULTIPLE DIFFRACTION PATHS



- * Considering a smooth surface at the top of the diffracting obstacles, with radius of curvature much larger than the wavelength, it is possible to treat the problem theoretically. To do that:
- * The surface at the top is considered a surface of second ~~order~~ degree with a finite radius of curvature, then the attenuation coefficient can be deduced in a similar way than the case of diffraction by large spherical surfaces.

MULTIPLE DIFFRACTION PATHS

Two obstacles:

Complete mathematical treatment:

- (1962) Millington G., Hewitt, R. and Immirzi F.S.; "Double knife-edge diffraction in field-strength predictions", IEE Monograph 507E, p. 419-429
- (1963) Furutsu, K. "On the theory of radio wave propagation over inhomogeneous earth" J. Res. NBS (Radio Propagation) V. 67D p. 39.
(The theoretical solutions involve the calculation of multiple Fresnel integral)

Approximated treatment:

- (1947) Bullington, K. "Radio propagation at frequencies above 30 Mc", Proc. IRE, V. 35, p. 1122-1136
- (1953) Epstein, J. and Peterson, D.W.; "An experimental study of wave propagation at 850 MHz", Proc. IRE, V. 41 p. 595-611.
- (1966) Deygout, J. "Multiple Knife-edge diffraction of microwaves" IEEE Trans. Ant. Prop. V. AP-14, pp. 480-489.
- (1992) Lopez Giovanelli, C. "Multiple Knife-edge diffraction comparative analysis of simplified solutions" (sent for publication)

Validity of approximated treatments:

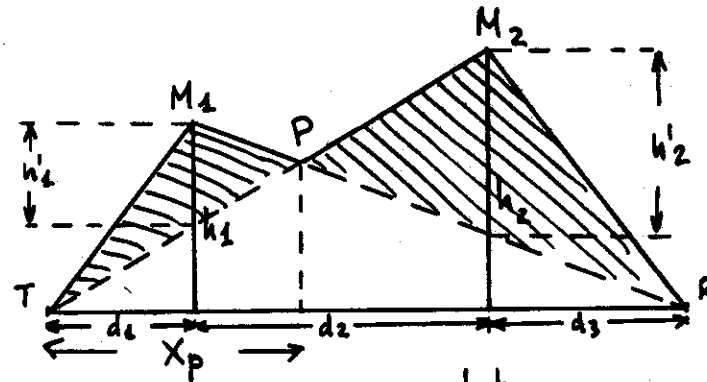
Bullington : optimistic estimates of signal strength. Up to 20 dB overestimation.

Eplein and Peterson: closer to reality but still optimistic. Up to 10 dB overestimation.

Deygout : good agreement with the theoretical treatment by Hillington et al.. At maximum value of diffraction loss obtains pessimistic estimates of signal strength of up to 5 dB above the real values.

Lopez Giovaneli : good agreement with the theoretical treatment by Hillington et al.. Replaces well Deygout solution when this becomes pessimistic, like in case of short spacing of obstacles.

Lopez Giovaneli method



$$h'_1 = h_1 - \frac{d_1 h_2}{d_1 + d_2}$$

$$h'_2 = h_2 - \frac{d_3 h_1}{d_2 + d_3}$$

The total diffraction loss is:

$$a_{MT} = a_{M1} + a_{M2}$$

where:

$$a_{M1} = f(d_1, h_1, d_2, h = h'_1)$$

$$a_{M2} = f(d_3, h_2, d_2, h = h'_2)$$

with:

$$K_1 = \frac{X_p - d_1}{d_2}$$

$$K_2 = \frac{(d_1 + d_2) - X_p}{d_2}$$

and:

$$X_p = \frac{h_1 d (d_1 + d_2)}{h_1 (d_1 + d_2) + h_2 (d_2 + d_3)}$$

where:

$$d = d_1 + d_2 + d_3$$

For actual links is:

$$X_p \cong TP$$

Finally the diffraction losses a_{m1} and a_{m2} can be expressed as function of the dimensionless parameter v .

$$v_1 = h'_1 \sqrt{\frac{2}{\lambda} (1/d_1 + 1/h_1 d_2)}$$

$$v_2 = h'_2 \sqrt{\frac{2}{\lambda} (1/h_2 d_2 + 1/d_3)}$$

where λ is the wavelength in meters.

And:

$$a_m(v) = 13 + 20 \log_{10}(v) \text{ [dB]}$$

The total transmission loss is

$$a_T = a_0 + a_{mT}$$

STUDY OF AN ACTUAL VHF-TV LINK WITH DOUBLE DIFFRACTION PATHS

Frequency : 213 MHz (Channel 13)

Peak video Transm. Power : 260 W (actual average value 130 W)

Transmitter antenna : Vertical array with five corner reflector type units.

Transmitter antenna tower : 24 m

Measurements at receiver site : Half wave dipole at 6 m above ground

Distances involved :

Point T height : 3162 m

Point M₁ height : 2000 m

Point M₂ height : 1870 m

= 181 m

h_1 = 167.57 m

h_2 = 29 m

h'_1 = 35 m

h'_2

$$X_p = 63.016 \text{ Km}$$

$$h_p = 1924.53 \text{ m}$$

$$K_1 = 0.4542$$

$$K_2 = 0.5458$$

Comparison of results:

	L.G. Solution	Doygout Solution
a_{m1}	12 dB	18.3
a_{m2}	13	10.
a_o	117.5	117.5
a_T	142.5	145.8

MEASURED VALUE: 143dB

The result obtained tells that to obtain a fine video image with a signal level of $56 \text{ dB}\mu$ at the input of the receiver of the repeater station it will be necessary to install a Yagi array with total gain of 16 dB at 36 m above the ground. The ^{average} power at the transmitter must be 1.6 Kw.

Where:

$$A_0 = 32.5 + 20 \log_{10} F [\text{MHz}] + 20 \log_{10} d [\text{km}]$$

is the free space loss in dB between two isotropic antennas separated by d km at a frequency F in MHz.

GIVEN THE CHARACTERISTICS OF THE LINK, INCLUDING THE NECESSARY CONTOUR MAPS OF THE REGION OF INTEREST, IT IS POSSIBLE TO PREDICT THE FIELD STRENGTH VALUE AFTER DIFFRACTION USING THE METHOD DESCRIBED. THE PREDICTED VALUE, IF IT IS ABOVE A CERTAIN THRESHOLD THAT ENSURES PROPAGATION RELIABILITY, CAN BE USED FOR THE DESIGN OF THE LINK.

Coefficiente 124/3 - 9
Escala Vert. 1:5000
Escala Horiz. 1:50000

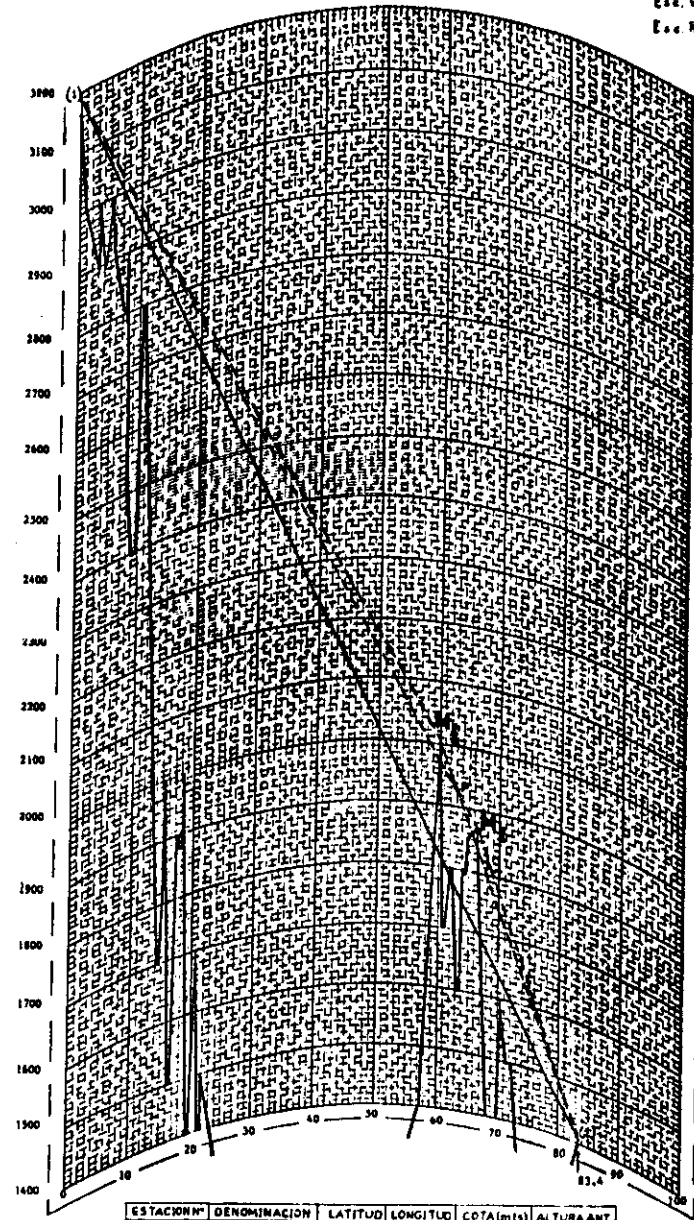


Fig. 4.5

ESTACION N°	DENOMINACION	LATITUD	LONGITUD	COTA (m)	ALTURA ANT.
1	Parque Corralillo	31°17' N	82°54' O	1142	24 m.
2	C'FL Bique (V.F.)	30°28' N	82°30' O	1400	h. a.

LONG. DE TRAYECTO: 83,4 km.

