



0 000 000 047247 0

SMR.998d - 18

1280/97
v.2
c.1
Ref.

Research Workshop on Condensed Matter Physics
30 June - 22 August 1997
MINIWORKSHOP ON
QUANTUM WELLS, DOTS, WIRES
AND SELF-ORGANIZING NANOSTRUCTURES
11 - 22 AUGUST 1997

**"Light Emission from Porous Silicon:
Recent Theoretical Results"**



M.J. CALDAS
Universidade de Sao Paulo
Centro de Computacao Eletronica
Av. Prof. Luciano Gualberto
Tr 3. No. 71, Cidade Universitaria
05508-900 Sao Paulo
BRAZIL

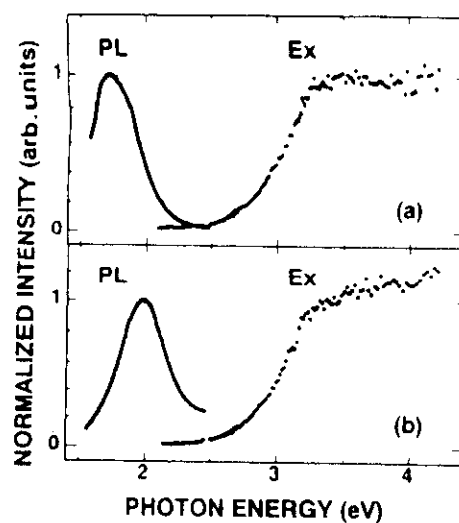
Light emission from porous Silicon: Recent theoretical results

Marília Junqueira Caldas

Instituto de Física
Universidade de São Paulo
Brasil



R. Baierle, IF-USP
S. Ossicini, INFN & DF-UNIMO
E. Molinari, INFN & DF-UNIMO



PLE

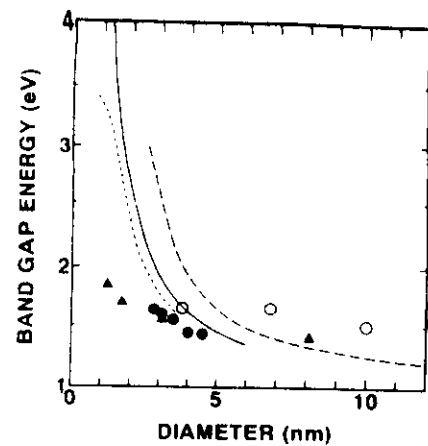


Fig. 3.3. Photoluminescence and photoluminescence excitation spectra of porous Si (a) before and (b) after the 1-min photochemical etching. The luminescence spectrum is very sensitive to the fabrication conditions.

Fig. 3.4. The experimental results for size dependence of the PL peak energy in oxidized Si nanocrystallites at room temperature are reproduced from Ref. [20] (●), Ref. [48] (○), and Ref. [71] (▲). Theoretical curves for the band-gap energy are represented by solid (Ref. [63]), broken (Ref. [66]), and dotted (Ref. [69]) lines. The size dependence of the luminescence peak energy is very small compared to that of the theoretically calculated band-gap energy.

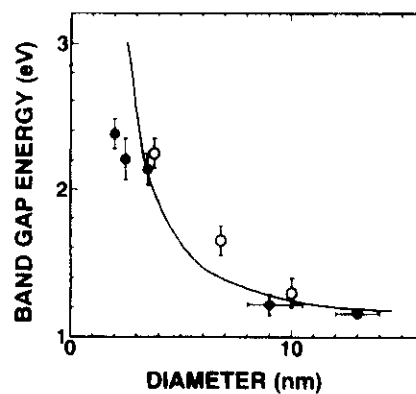
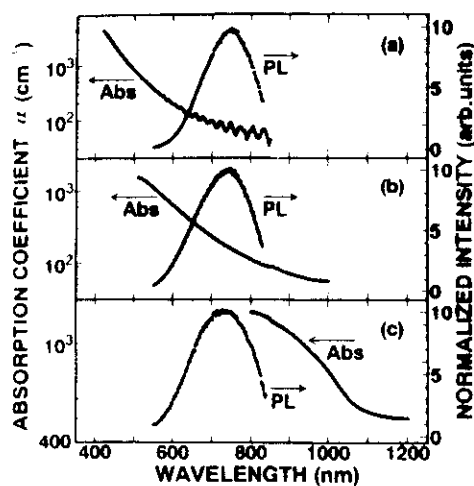


Fig. 3.1. Typical optical absorption and photoluminescence spectra of porous Si films at room temperature: (a) $L \sim 2$ nm, (b) $L \sim 3.5$ nm, and (c) $L \sim 9$ nm. The size L is determined from Raman spectroscopy and TEM. The absorption tail is observed. No significant size dependence of the luminescence spectrum is observed (from Kanemitsu et al. [41]).

Fig. 3.2. Band-gap energy as a function of the diameter of crystalline Si spheres. The solid and open circles correspond to the band-gap energy of porous Si and oxidized Si nanocrystallites, respectively. The solid line represents a theoretical calculation for the size dependence of the band-gap energy of crystalline Si spheres, based on an effective-mass approximation (Ref. [66]). In small nanocrystallites, the band-gap energy is consistent with the calculation in Ref. [62].

Published (good) work in nanometer-size Si particles.

Wang & Zunger: empirical pseudopotentials

J. Phys. Chem. 98, (really semiempirical)
2158 (1994) geometry modelled to bulk,
different surfaces
(good sense at corners??)
LDA (optical transitions?)
emission too high

Allan et al : “big” tight binding

Phys. Rev. Lett. 76, (empirical)
2961 (1996) geometry modelled
“small” first principles ($N \leq 10$)
geometry “guessed”
defects needed

Kumar et al : “small-medium”

Jpn. J. Appl. Phys. 33, semiempirical LCAO
909 (1994) (molecular parametrization)
emission too high

USP

Very difficult problem!

eigenvalue problem $\langle \psi_i | H | \psi_i \rangle$ at
each geometry: dimensions?

orthogonalization step scales as N^3

↗
number of atoms

First-principles calculations (LDA or HF)

bulk ($N=2$) ☺

defects, supercells ($N \sim 50$) } ☹ very costly
molecules, clusters ($N \sim 100$) }

{ geometry optimization for $N \leq 10$ atoms,
“educated guesses” for sample configurations

Empirical calculations (TB)

bulk, cluster, ... $N \sim 10^4$ ☺

☹ { no real account for charge rearrangements
no real account of geometries

Existing semiempirical techniques

☹ designed for molecules,
extremely poor description for bulk

USP

This work: Semiempirical LCAO techniques

Hartree-Fock-Roothaan:

$$\hat{F} \psi_i = E \hat{S} \psi_i$$

LCAO for ψ_i

$$\psi_i(\vec{r}) = \sum_{I,\mu} C_{I\mu}^i \phi_{\mu}(\vec{r} - \vec{R}_I)$$

ZDO for $\hat{S}$

$$\int \phi_{\mu I} \phi_{\nu J} d\tau = S_{\mu\nu} \delta_{IJ}$$

Very successful semiempirical implementations for molecules (chemistry) $I, J = 1 \dots N$ finite!

Modified Neglect of Diatomic Overlap

geometries, vibrational frequencies

several parametrizations MNDO/AM1, PM3, ...

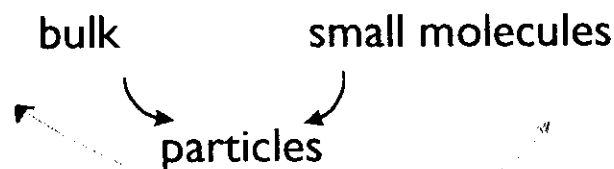
Intermediate Neglect of Differential Overlap

optical properties

several parametrizations INDO/1, INDO/2, ZINDO

Here: Reparametrize!

- HFR method for crystals (bulk)
 - Bloch sums
 - Bloch hamiltonian
- Pseudo-atom method for nanocrystals (pseudo-Si to terminate clusters)
- New parametrizations
 - MNDO/Crystal
 - INDO/Crystal
 - Si, α -Quartz, SiH_4 , Si_2H_6 , Si_2OH_6 , ...



USP

AMI/Crystal: Fit for the Silicon Crystal

Bulk Modulus (10^{12} dy/cm²), equilibrium lattice parameter (Å)

😊

Cell	BZ Point	Neighbours	Lattice Parameter	Bulk Modulus
8	4	3	5.453	1.125
64	1	5	5.475	1.123
64	4	5	5.454	1.120
Experimental			5.429	0.978

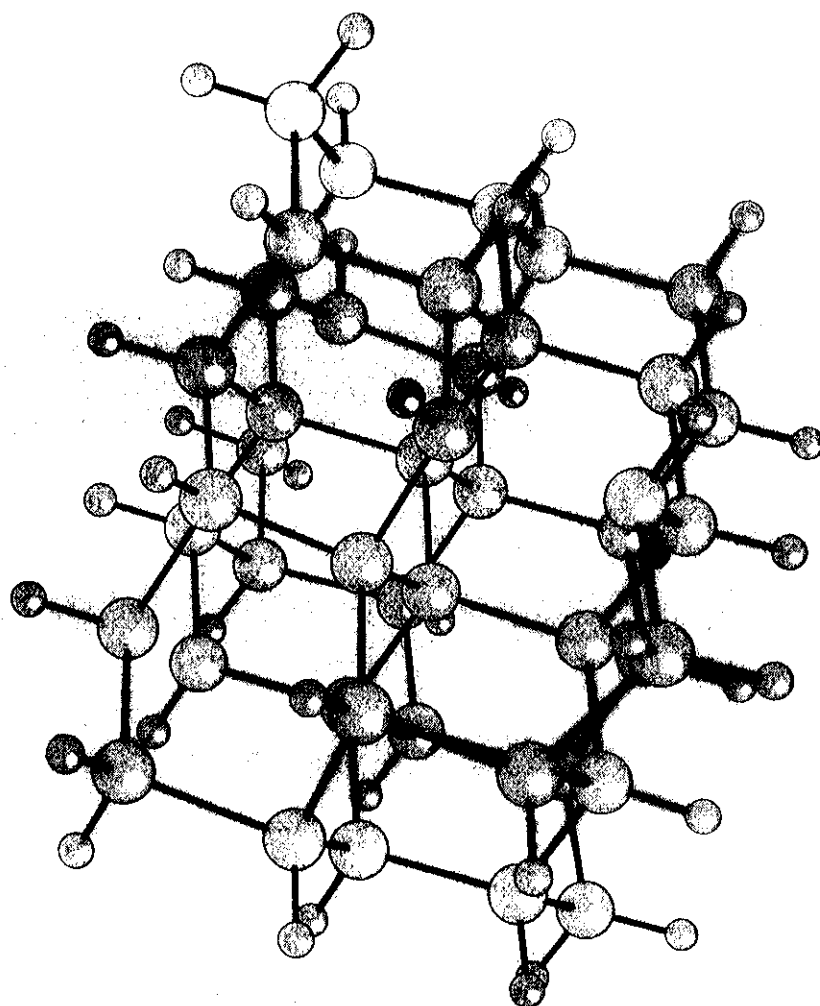
☹

* Original Parametrization

Phonon Frequencies (cm⁻¹) for Si Crystal

BZ Point	AMI/Crystal	Experimental
LTO(Γ)	522	517
LAO(X)	427	410
TO(X)	481	463
TA(X)	175	150
LO(L)	430	417
LA(L)	392	378
TO(L)	492	487
TA(L)	142	114

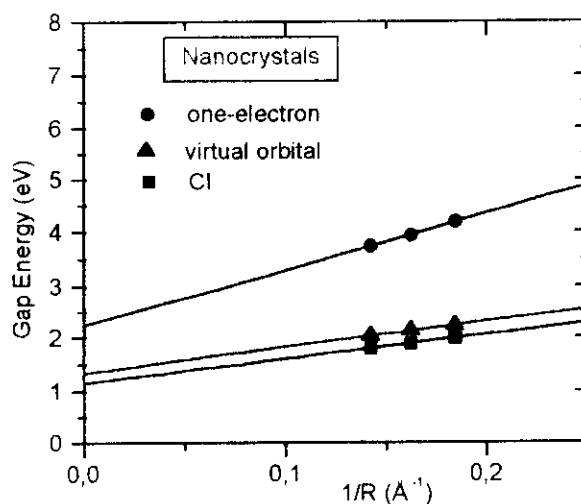
USP



Calculation of energy-gap for periodic systems
problems with HF, impossible CI

INDO/Crystal HF for periodic bulk (Bloch)
valence band, indirect "gap".

INDO/Crystal/CI for nanocrystals
finite nanocrystal $\longrightarrow$ "infinite" limit



Correlation: HF $\Psi_0 = AP[\{\psi_i\}]$, $i = \text{occupied}$

excited states? transition energies?

eigenvalues $\epsilon_j - \epsilon_i \neq E_{+j-i}^{\text{exc}} - E^0!$

1st correction: energy of $\Psi_\alpha = AP[\{\psi_m\} - \psi_i + \psi_j]$

$\downarrow$ for finite systems, correction good "basis" for

2nd correction: Configuration Interaction

$$\Psi_T = \sum_{\alpha} C_{\alpha}^T \Psi_{\alpha}$$

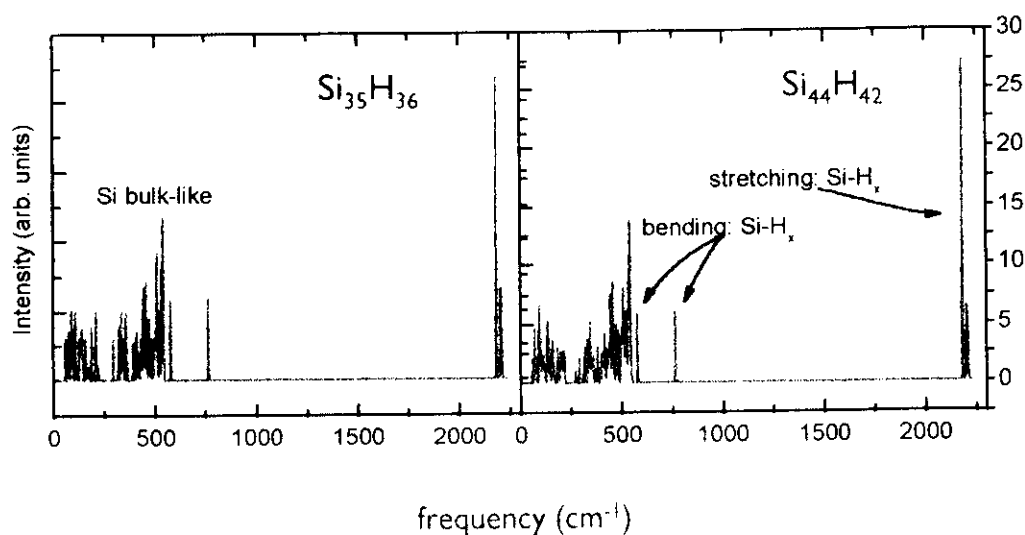
USP

Results: Si-H particles in different symmetries

T_d (atom-centered) up to $Si_{71}H_{60}$

D_{3d} (bond-centered) up to $Si_{44}H_{42}$

MNDO/Crystal: relaxed optimal geometry
all atoms in particle



Small particles already reproduce Bulk Phonon dispersion

Split-off mode: Compression of Central Shell

USP

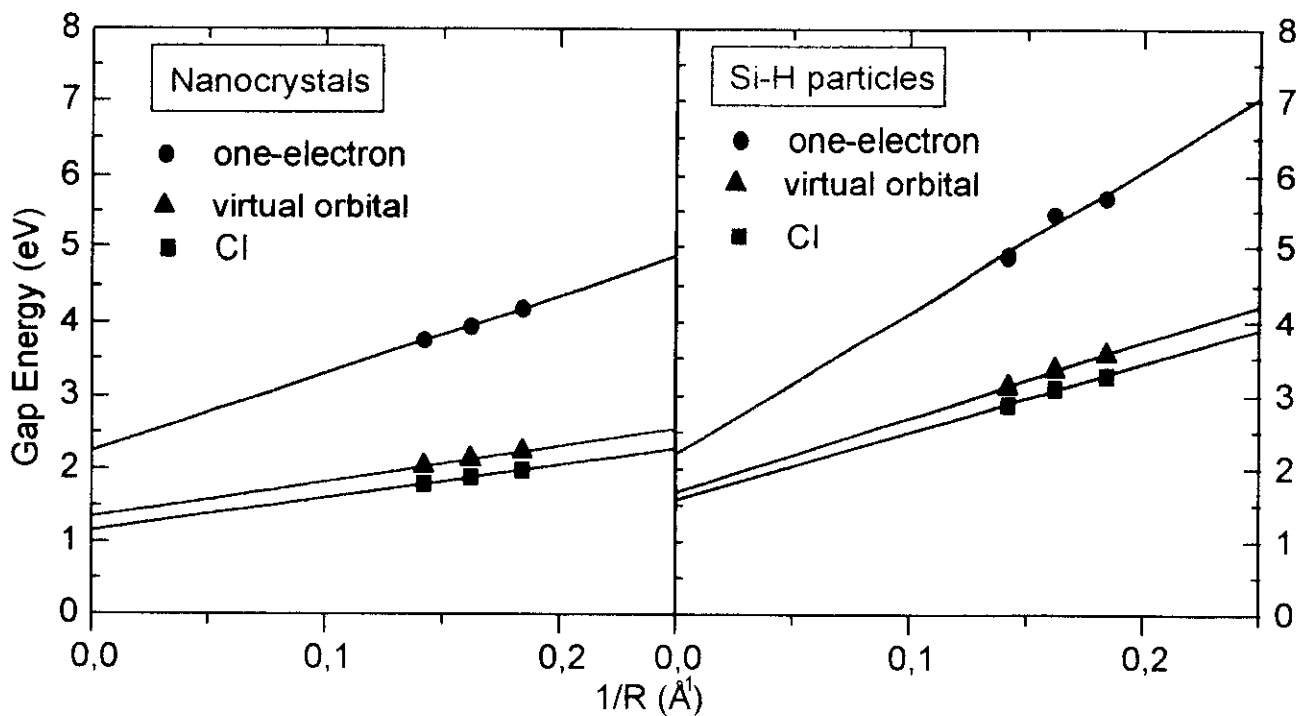
Results: Si-H particles in different symmetries

T_d (atom-centered) up to $\text{Si}_{71}\text{H}_{60}$

D_{3d} (bond-centered) up to $\text{Si}_{44}\text{H}_{42}$

INDO/Crystal/CI: optical absorption

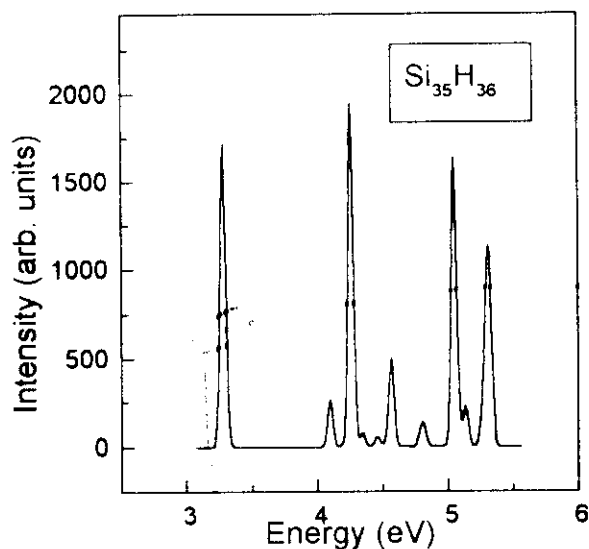
Result: Right trend for the absorption of Si-H particles
Correct energies



Relaxation!

Result: emission too high!

USP

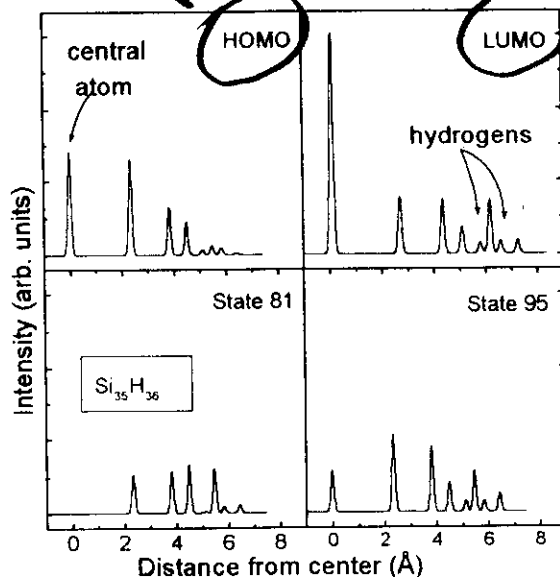
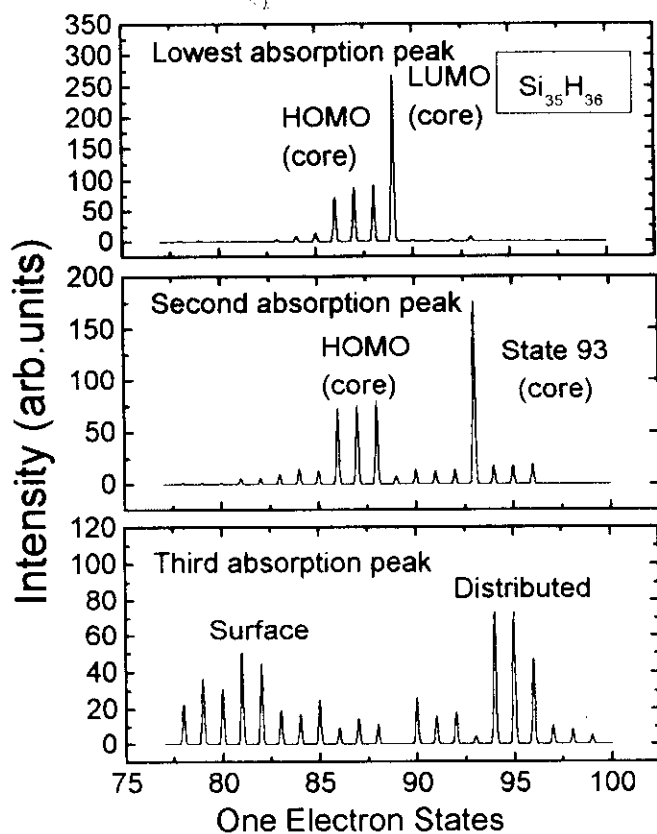


Results for $\text{Si}_{35}\text{H}_{36}$ *Td*-symmetric particle

1st absorption HOMO-LUMO
(very little CI)

Originates in the crystalline Si core

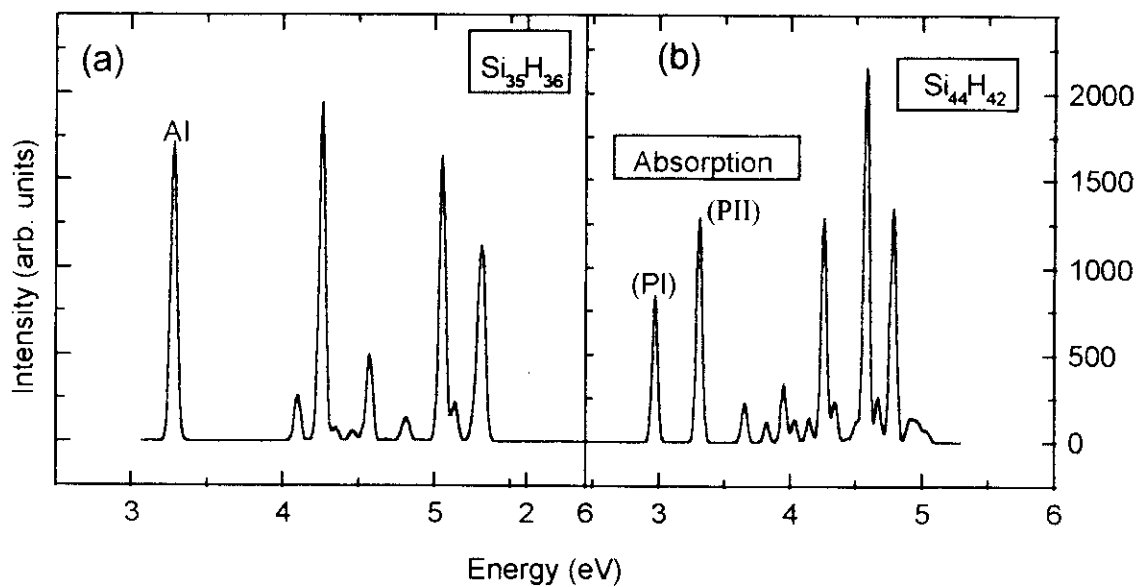
Transitions "crystalline" up
to ~ 5 eV



USP

Effect of symmetry?

no, results very similar for D_{3d} - symmetric particles
 symmetry-splitting $t_2 \rightarrow a_1 + e$ (HOMO)



USP

Now What?

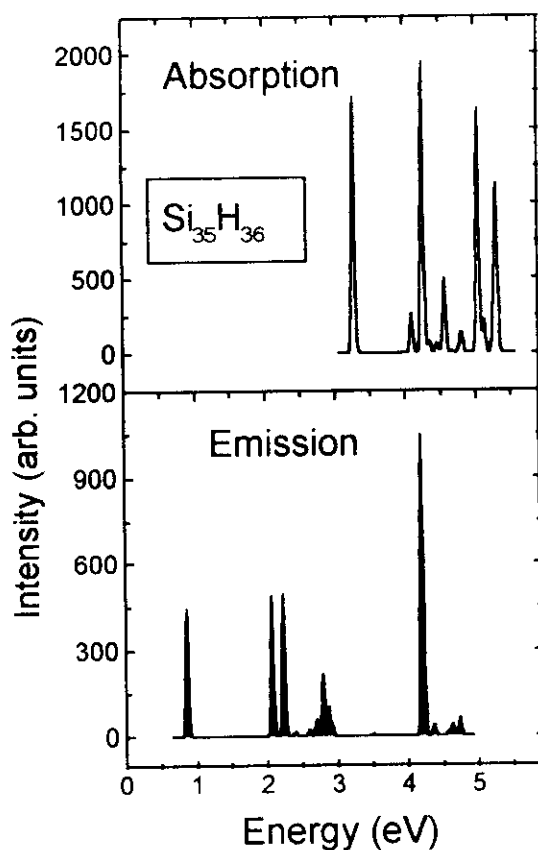
Particle is sufficiently small

→ relaxation in excited state?
(stokes, Franck-Condon,)

first absorption almost pure one-electron excitation HOMO-LUMO

MNDO/Crystal $\text{Si}_{35}\text{H}_{36}$, $\text{Si}_{44}\text{H}_{42}$

allow relaxation again

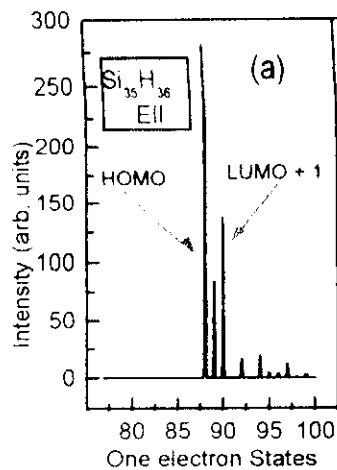


INDO/Crystal/CI for ground state configuration
absorption spectra

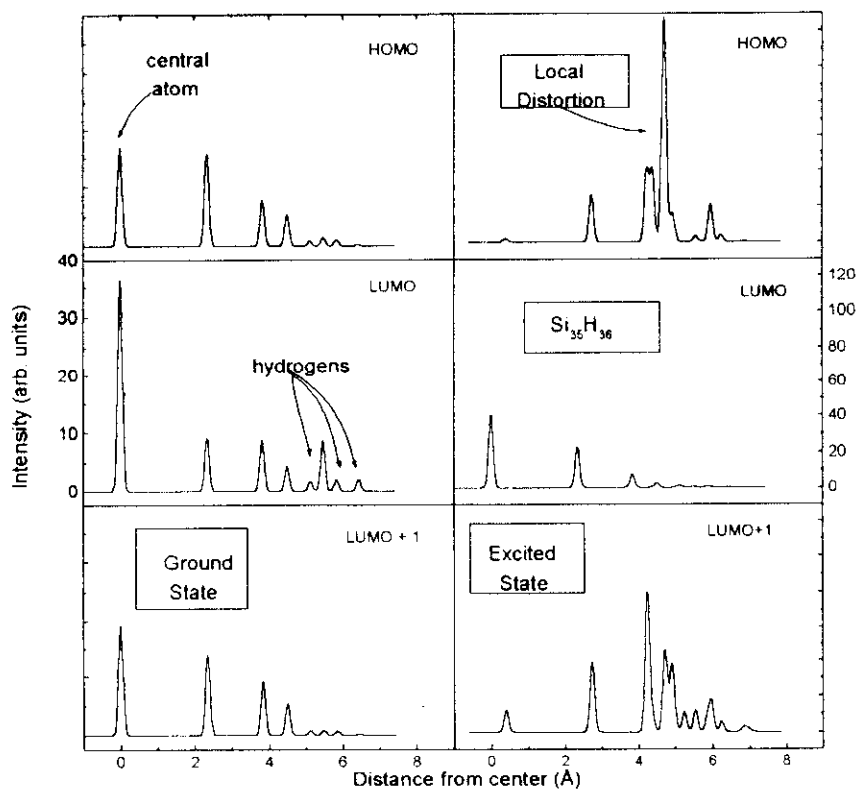
INDO/Crystal/CI for excited state configuration
→ emission spectra!

USP

What is happening?



Transition no longer pure one-electron

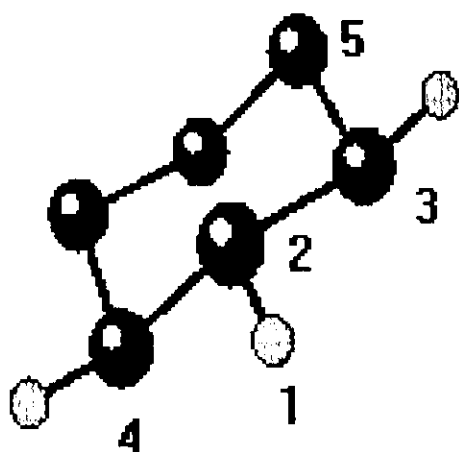


HOMO & LUMO+1 very localized

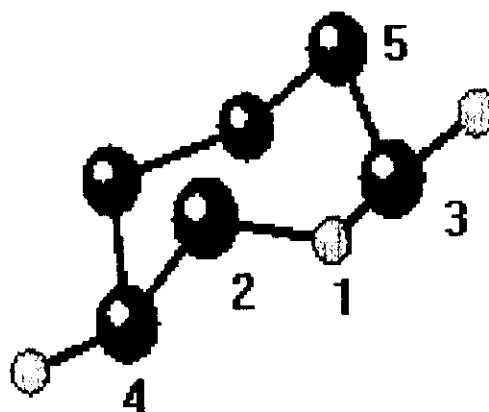
USP

Photogenerated “Bridge” defect

Bond	Ground State		Excited State	
	Index	Distance	Index	Distance
Si ₅ - Si ₃	0.914	2.351	0.854	2.365
Si ₃ - Si ₂	<u>0.919</u>	2.367	<u>0.398</u>	2.634
Si ₄ - Si ₂	0.008	3.184	<u>0.541</u>	1.546
Si ₂ H ₁	<u>0.956</u>	1.476	<u>0.392</u>	1.673



Ground State



Excited State

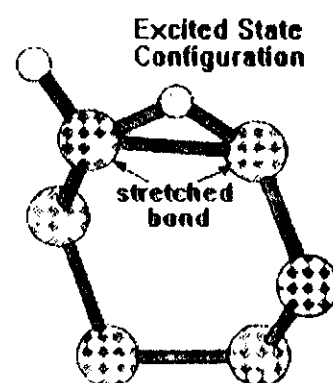
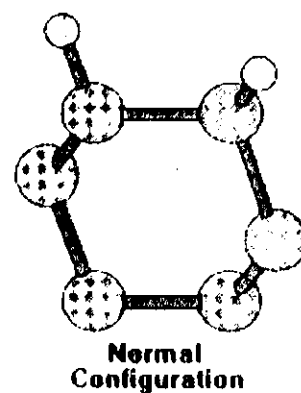
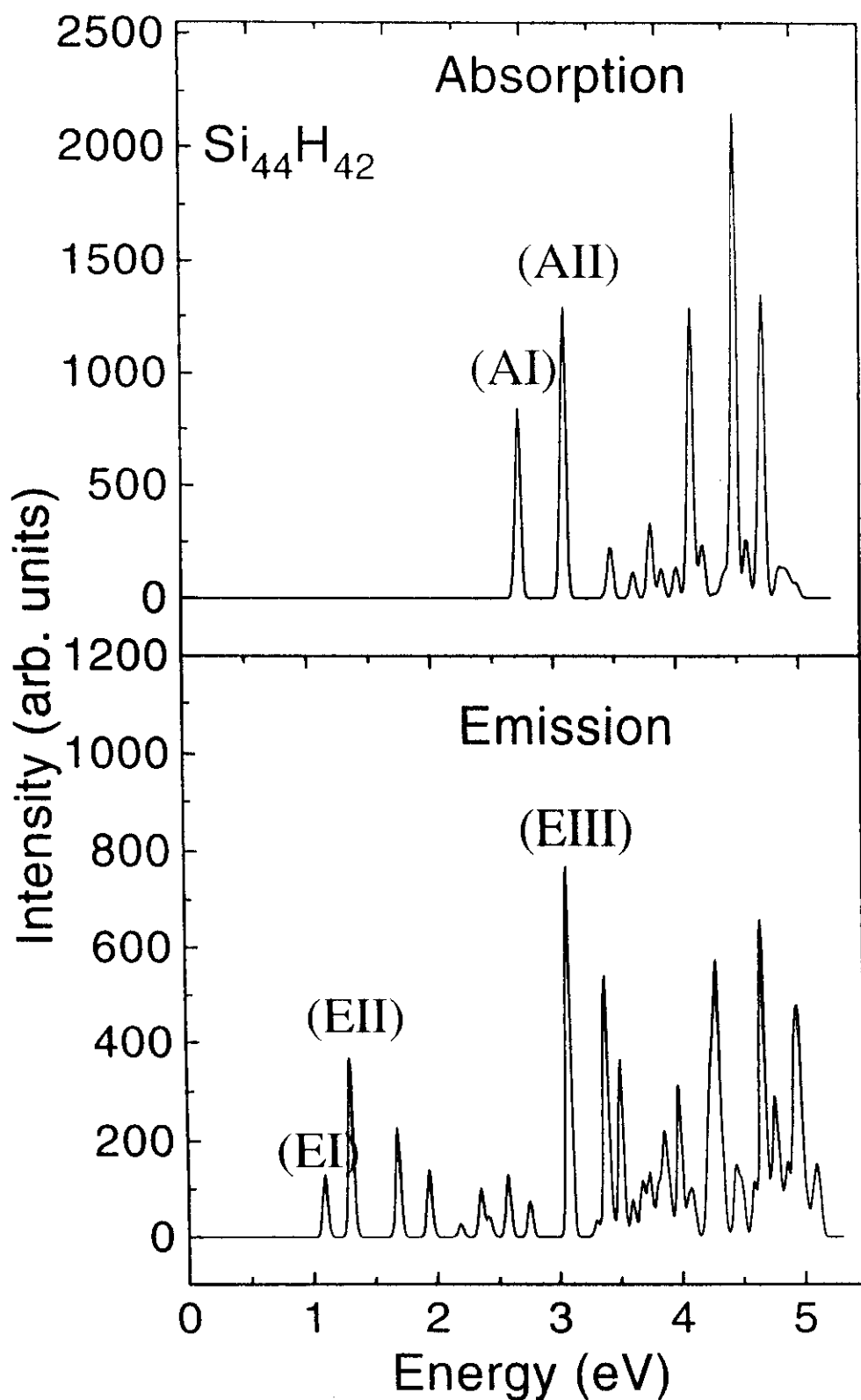
Si-Si bond not broken



Configuration not metastable, highly unstable

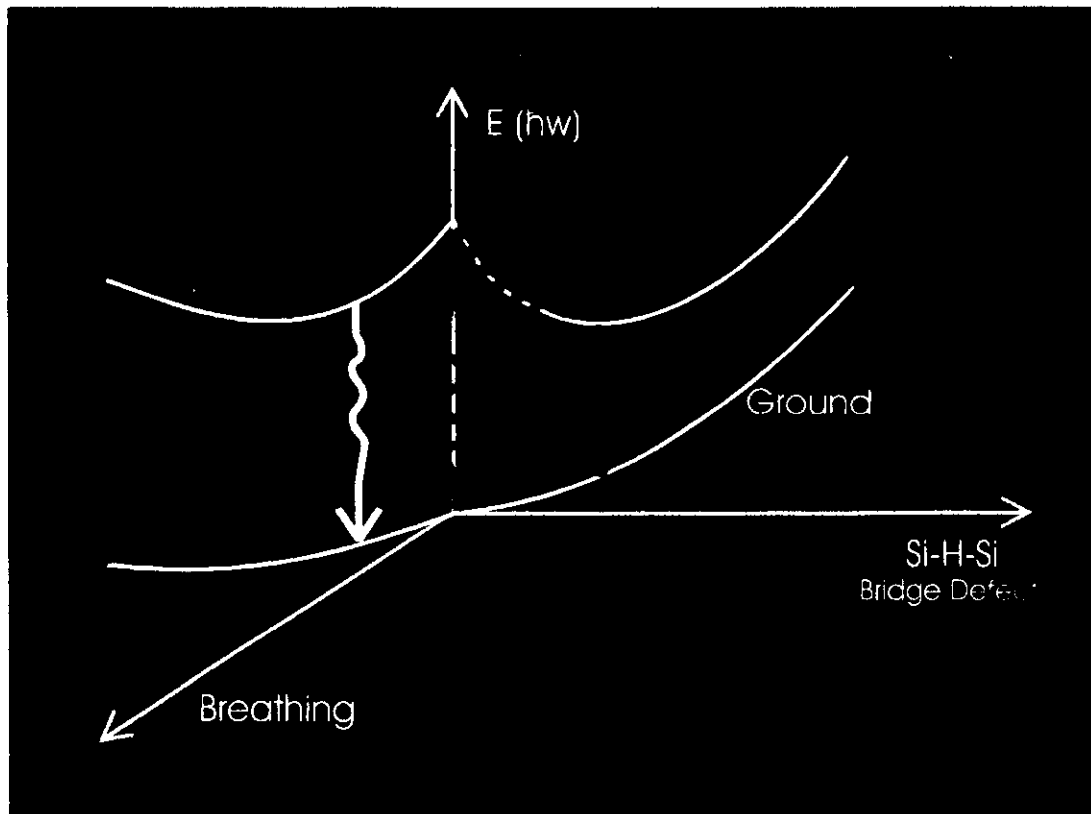
USP

Effect of Symmetry?



Model: Configuration Coordinate

Absorption (core) $\longrightarrow$ Spontaneous defect
“exciton” trapping?



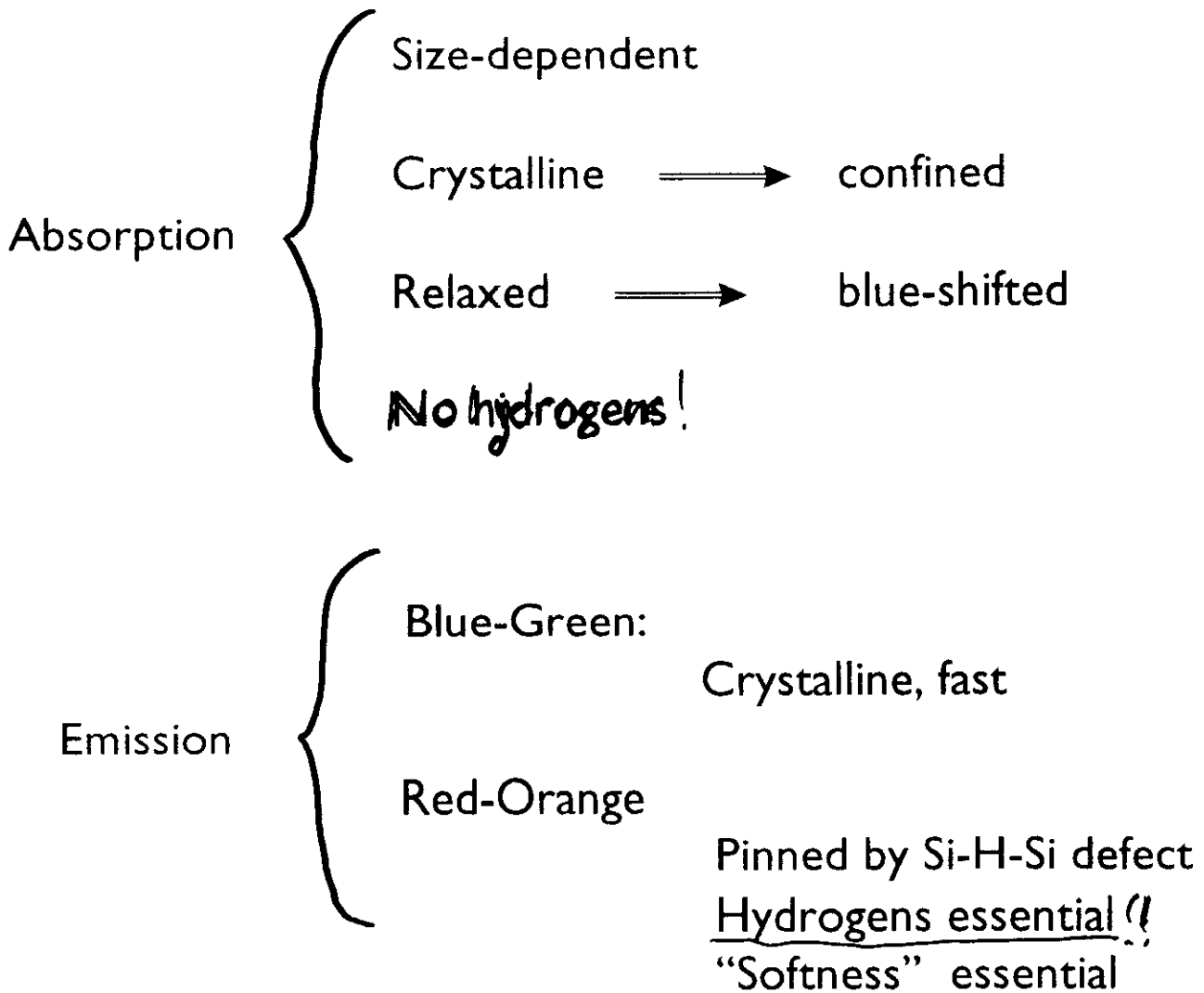
Red Luminescence $\longrightarrow$ back to normal

no bleaching, no damage

USP

Conclusions I

Si-H particles can explain po-Si



Photogenerated Defects: everywhere?
(EL2)
certainly in rough, soft environments

USP

Some References

(only those that are not quoted in the notes themselves)

Canham, Physics World, March 1992 , p. 41.

Iyer & Xie, Science 260, 40 (1993).

Kanemitsu, Phys. Rep. 263,1-91 (1996), and references therein.

Table of theoretical results (Lecture I):

A: Hirao & Uda, Surf. Sci 306, 87 (1994).

B: Delley & Steigmeier, Phys. Rev B 47, 1397 (1993).

C: Kumar, Kitoh, Shegematsu, & Hara, Jpn. J. Appl. Phys. 33, 909 (1994).

D: Huaxiang, Ling, & Xide, Phys. Rev. B 48, 10978 (1993).

Hirschman, Tsybeskov, Duttagupta, & Fauchet, Nature 384, 338 (1996) "Silicon-based visible light emitting devices integrated into microelectronic circuits"

see also

E-MRS Spring Conference, Strasbourg, France 1996, Proceedings

Symposium I on Porous Silicon

Thin Solid Films 272, p. 1-322 (1996)

Symposium L on New Developments in Porous Silicon

Thin Solid Films 297, p. 1-324 (1997)

Theoretical results from

Baierle, Caldas, Molinari, & Ossicini, Braz. J. Phys. 26, 631 (1996);

Solid St. Commun. 102, 545 (1997).

USP