

Estimation of External Costs Associated with Hydroelectric Projects Having Reservoirs

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Scope of HydroPacts

Estimation of external costs due to:

- ❖ Displacement and Resettlement
- ❖ GHG Atmosphere Emissions during Construction and Operation
- ❖ Accidental Dam Breach
- ❖ Loss of Land, Agricultural Products, Livestock



Displacement and Resettlement



First Attempt to Correlate Displaced Population with Simple Parameters

Area_{Inundated} [km²] = 0.57 * Capacity [MW] Coeffic_{Correlation}: 0.523

Population_{Resettled} [persons] = 3.1 * Capacity [MW] Coeffic_{Correlation}: 0.160

Population_{Resettled} [persons] = f (Area_{Inundated}) Coeffic_{Correlation}: 0.041

Resettlement Cost_{per Person} [\$/capita] = 1.33 * GDP_{pc1999} Coeffic_{Correlation}: 0.843

- Approach found that most relationships had low correlations
- Does not take into account basic dam and reservoir characteristics
- Does not account for different terrains
- Does not consider population distribution



Physical and Economic Impact Estimation of Displacement

- Estimation of displacement follows similar routine than air impacts and is based on regional population density

$$POP_{DIS} = IA_{RS} \left[km^2 \right] \times POP_{Density} \left[\frac{persons}{km^2} \right]$$



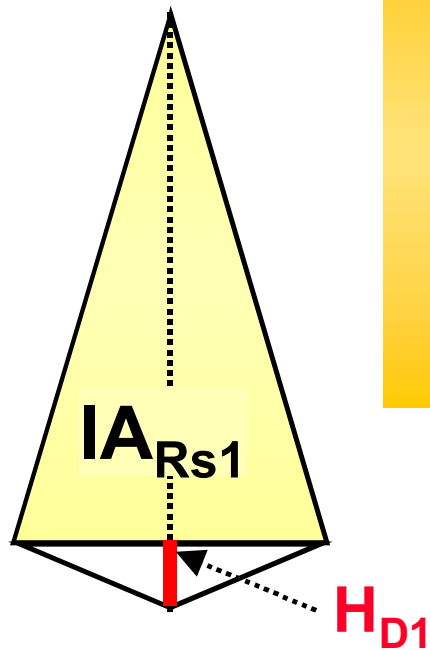
If you know the inundated area, you can enter it.

Alternatively

you can use the model to estimate the inundated area



Area Inundated by the Reservoir is a Function of the Dam Height (at Constant Terrain)

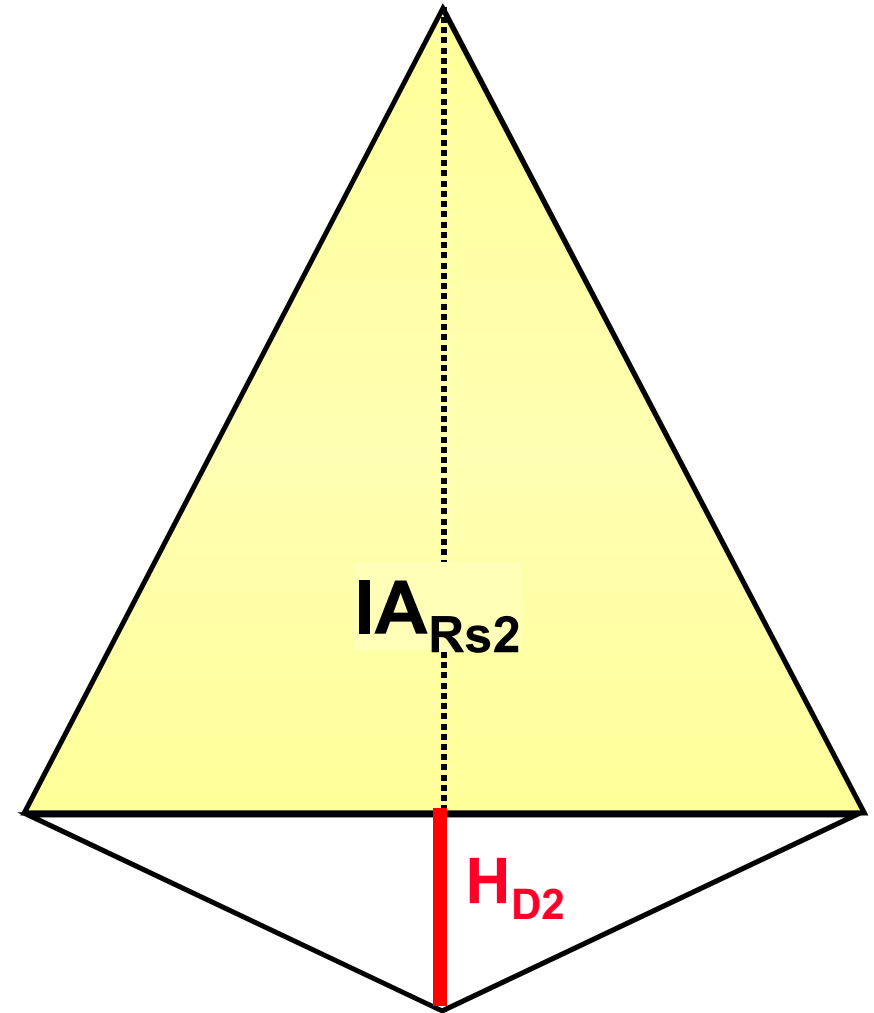


Inundated Area (IA_{Rs})
Height of Dam (H_D)

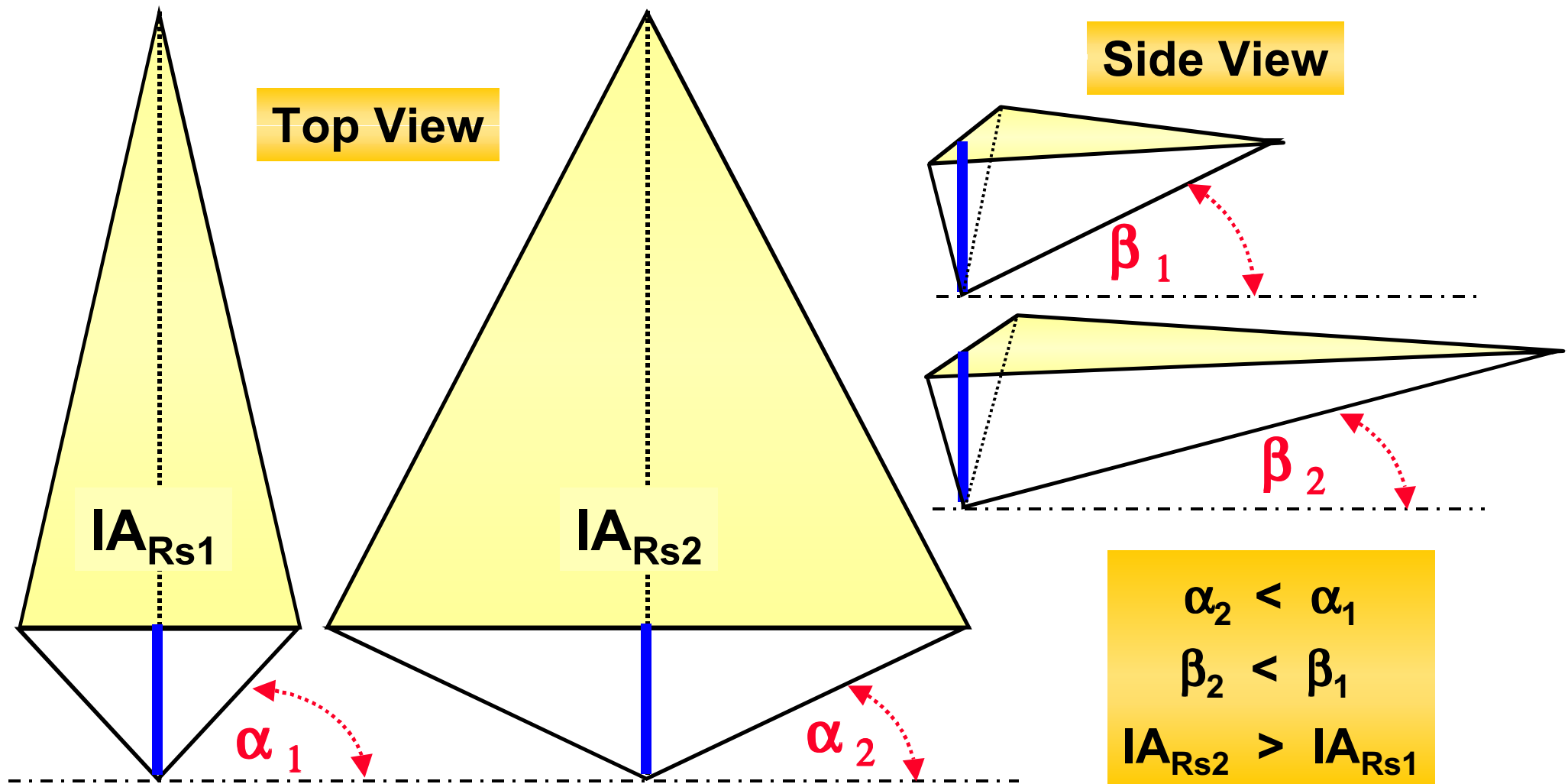
$$A = f(H_D)$$

$$H_{D1} < H_{D2}$$

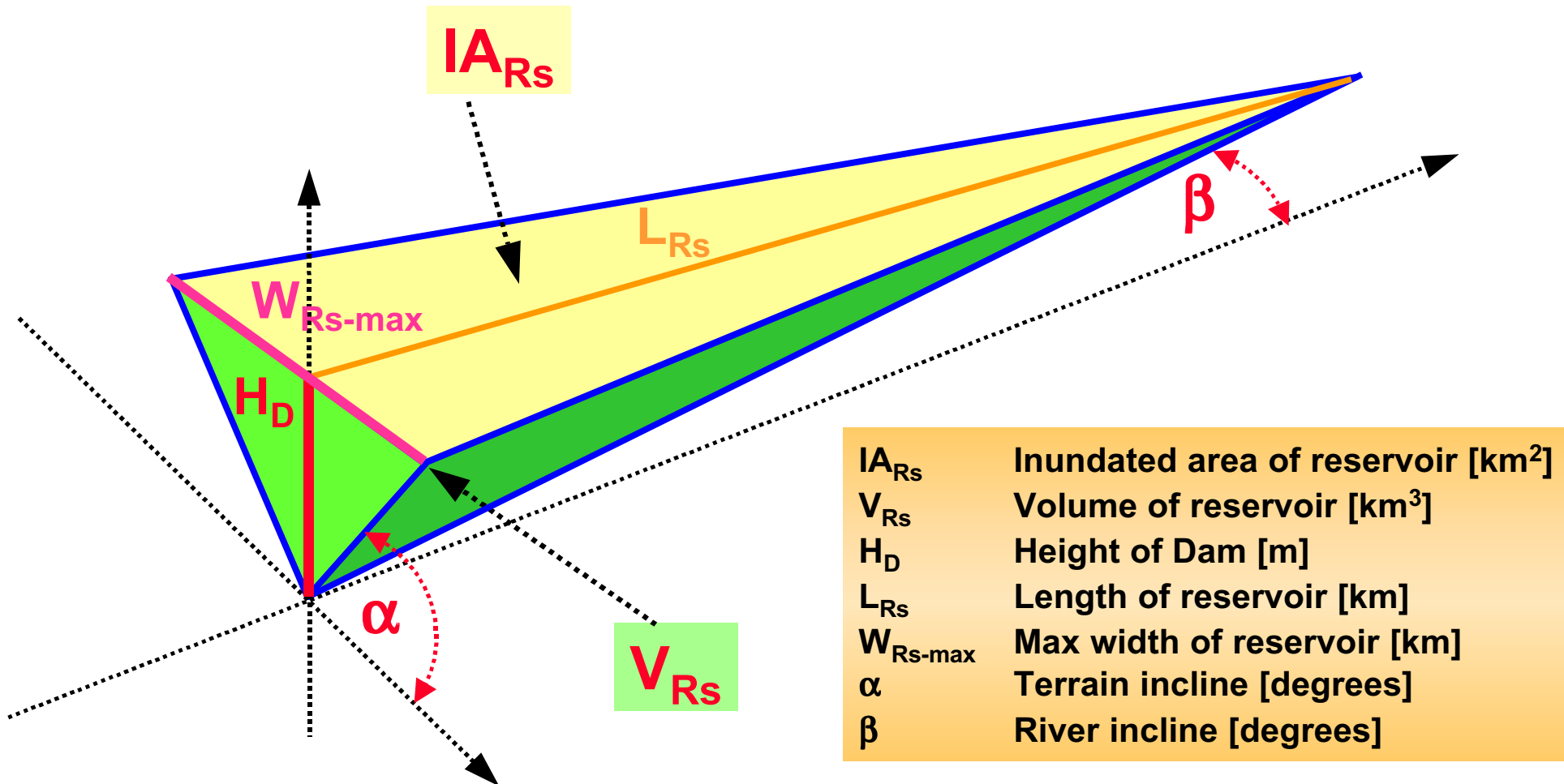
$$IA_{Rs1} < IA_{Rs2}$$



Area Inundated by the Reservoir is a Function of the Terrain (at Constant Dam Height)



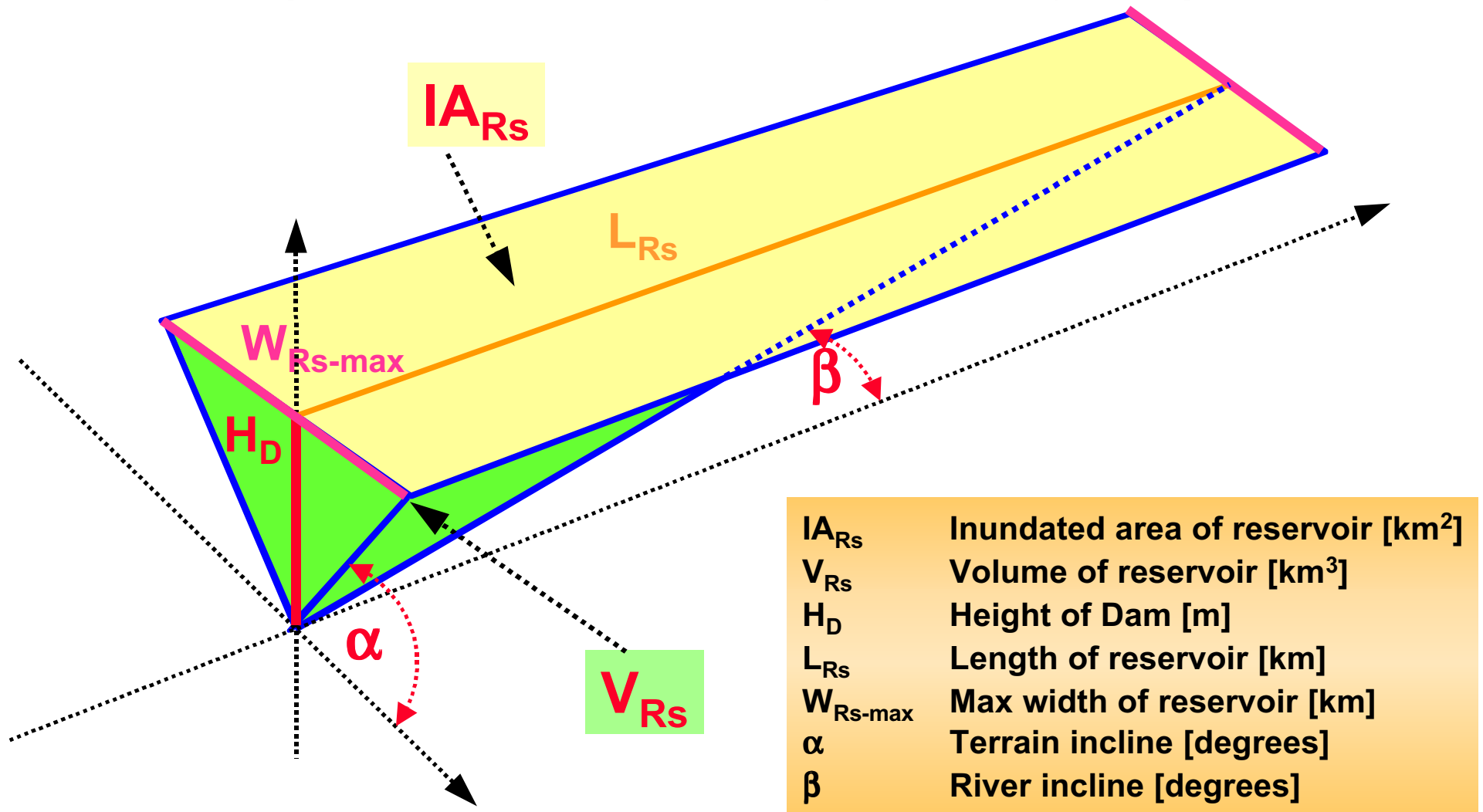
Simple 3D Model of Reservoir – Triangular Cube (for Flatlands)



If a user choose type of terrain=2 (flatland/plane), the model will choose Triangular reservoir shape



Simple 3D Model of Reservoir – Rectangular Cube (for Mountains, Gorges, Canyons)



If a user choose type of terrain=1 (gorges, narrow valleys, steep mountains), the model will choose Rectangular reservoir shape



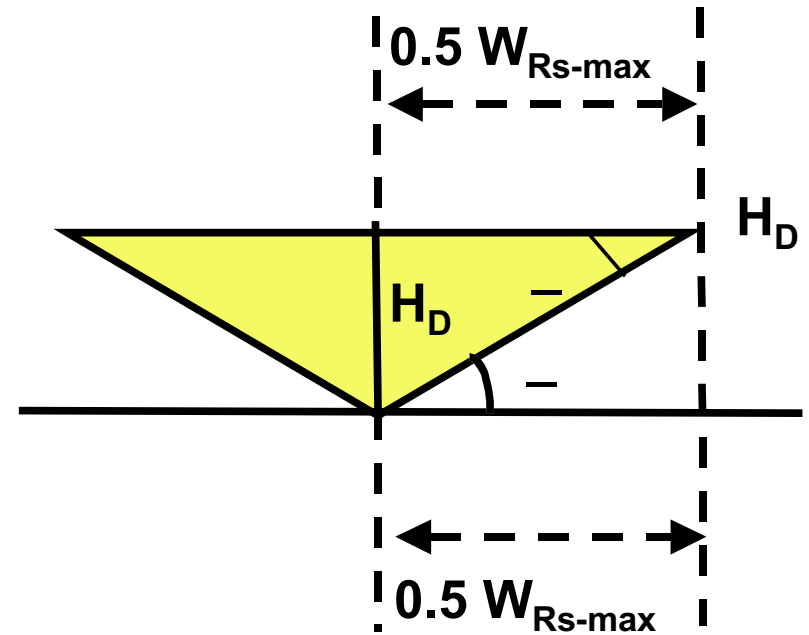
Relation between dam height and width of reservoir

$\tan_{-} = \text{Perpendicular} / \text{Base}$

$$\tan_{-} = \frac{H_D \text{ (m)}}{0.5 W_{Rs\text{-max}} \text{ [km]} \times 1000 \text{ (m/km)}}$$

$$\tan_{-} = \frac{H_D \text{ [m]}}{0.5 \times 1000 \times W_{Rs\text{-max}}}$$

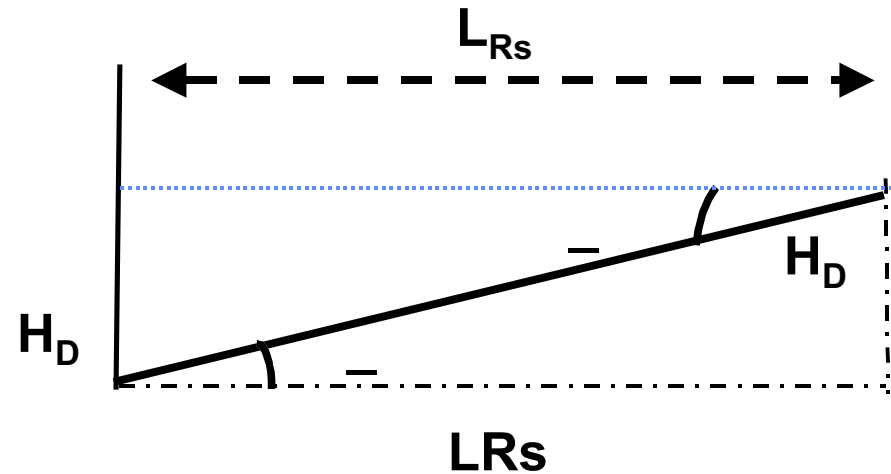
$$W_{Rs\text{-max}} = \frac{H_D}{0.5 \times 1000 \times \tan_{-}}$$



Relation between dam height and length of reservoir

$$\tan_{-} = \frac{H_D \text{ [m]}}{\text{LRs [km]} \times 1000 \text{ m / km}}$$

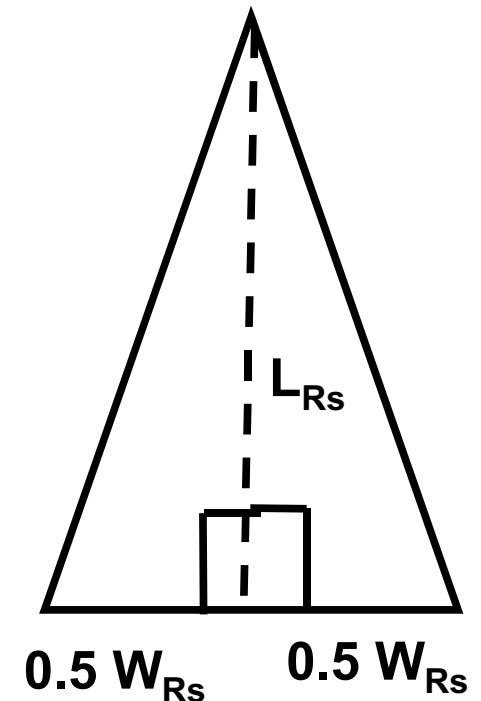
$$L_{Rs} = \frac{H_D \text{ [m]}}{1000 \times \tan_{-}}$$



Reservoir Area

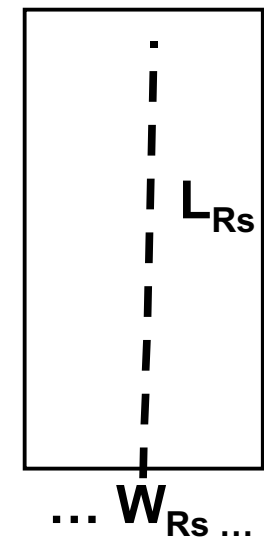
Triangular-Shape Reservoir

$$\begin{aligned}
 IA_{Rs} &= \left\{ \frac{1}{2} (L_{Rs} \times 0.5 W_{Rs}) \times 2 \right\} \\
 &= 0.5 L_{Rs} \times W_{Rs} \\
 &= 0.5 \frac{H_D [m]}{0.5 \times 1000 \times \tan_} \times \frac{H_D [m]}{1000 \times \tan_} \\
 &= \frac{H_D^2}{\tan_ \times \tan_ \times 10^6}
 \end{aligned}$$



Rectangular-Shape Reservoir

$$\begin{aligned}
 IA_{Rs} &= L_{Rs} \times W_{Rs} \\
 &= \frac{H_D [m]}{0.5 \times 1000 \times \tan_} \times \frac{H_D [m]}{1000 \times \tan_} \\
 &= \frac{H_D^2}{0.5 \times \tan_ \times \tan_ \times 10^6}
 \end{aligned}$$



Terrain index



Reservoir Area

Triangular-Shape Reservoir

$$\begin{aligned}
 IA_{Rs} &= \frac{1}{2} \left\{ L_{Rs} \times 0.5 W_{Rs} \right\} \times 2 \\
 &= 0.5 L_{Rs} \times W_{Rs} \\
 &= \frac{0.5 H_D [m]}{0.5 \times 1000 \times \tan_} \times \frac{H_D [m]}{1000 \times \tan_} \\
 &= \frac{H_D^2}{\tan_ \times \tan_ \times 10^6}
 \end{aligned}$$

Rectangular-Shape Reservoir

$$\begin{aligned}
 IA_{Rs} &= L_{Rs} \times W_{Rs} \\
 &= \frac{H_D [m]}{0.5 \times 1000 \times \tan_} \times \frac{H_D [m]}{1000 \times \tan_} \\
 &= \frac{H_D^2}{0.5 \times \tan_ \times \tan_ \times 10^6}
 \end{aligned}$$

Terrain index

The user has to enter either terrain index or inclinations of river and terrain (__, __). Currently 8 terrain indices are available in the model. The user inputs for __ and __ have priority over the terrain index

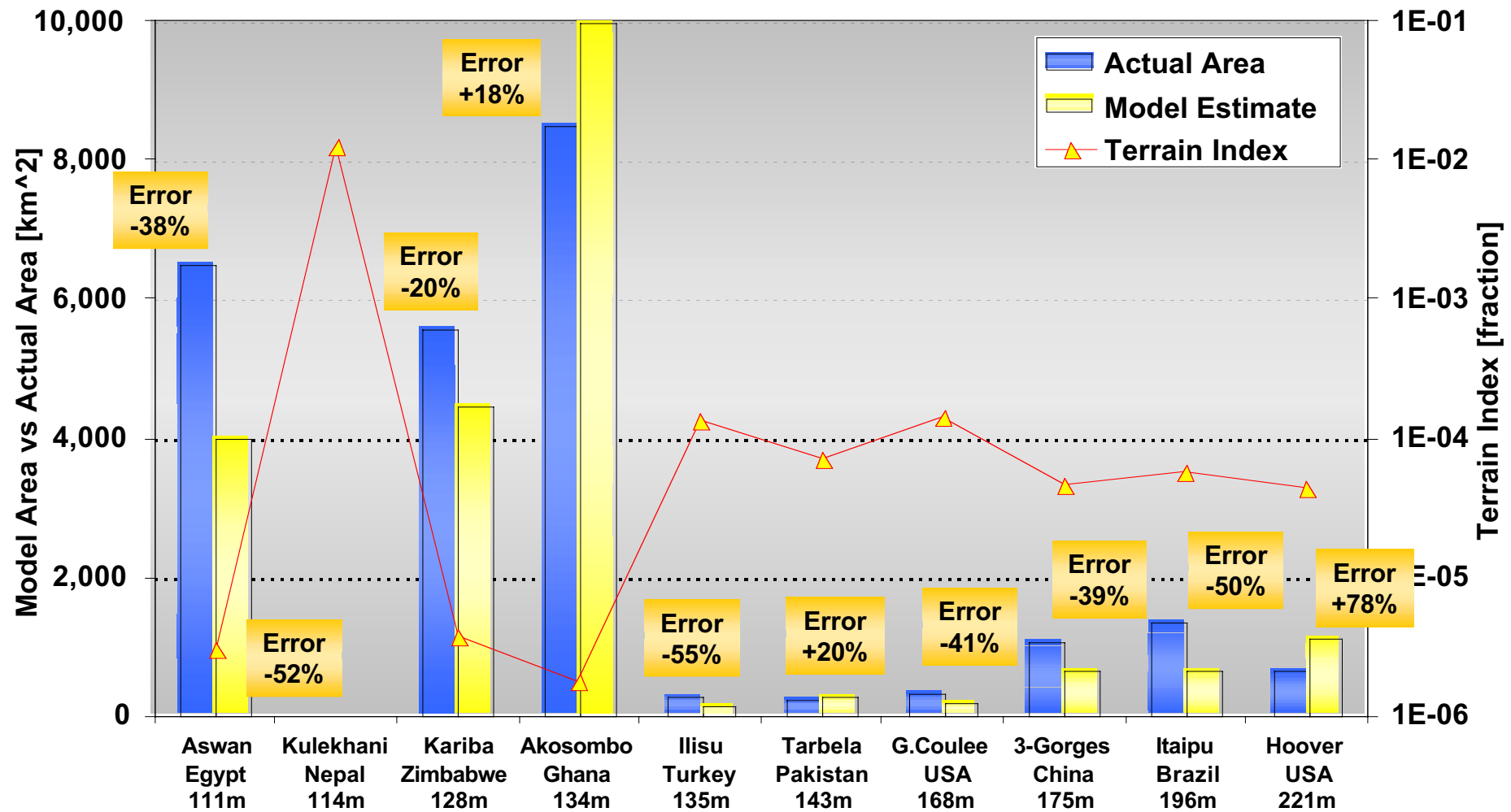
TERRAIN INDEX

- 1: Ghana, Akosombo(1.80e-6)
- 2: Zimbabwe, Kariba(3.66e-6)
- 3: China, 3 Gorges(4.65e-5)
- 4: Brazil, Itaipu(5.65e-5)
- 5: Pakistan, Tarbela(7.10e-5)
- 6: USA, Hoover(4.29e-5)
- 7: USA, Grand Coulee(1.44e-4)
- 8: Egypt, Aswan(3.08e-6)

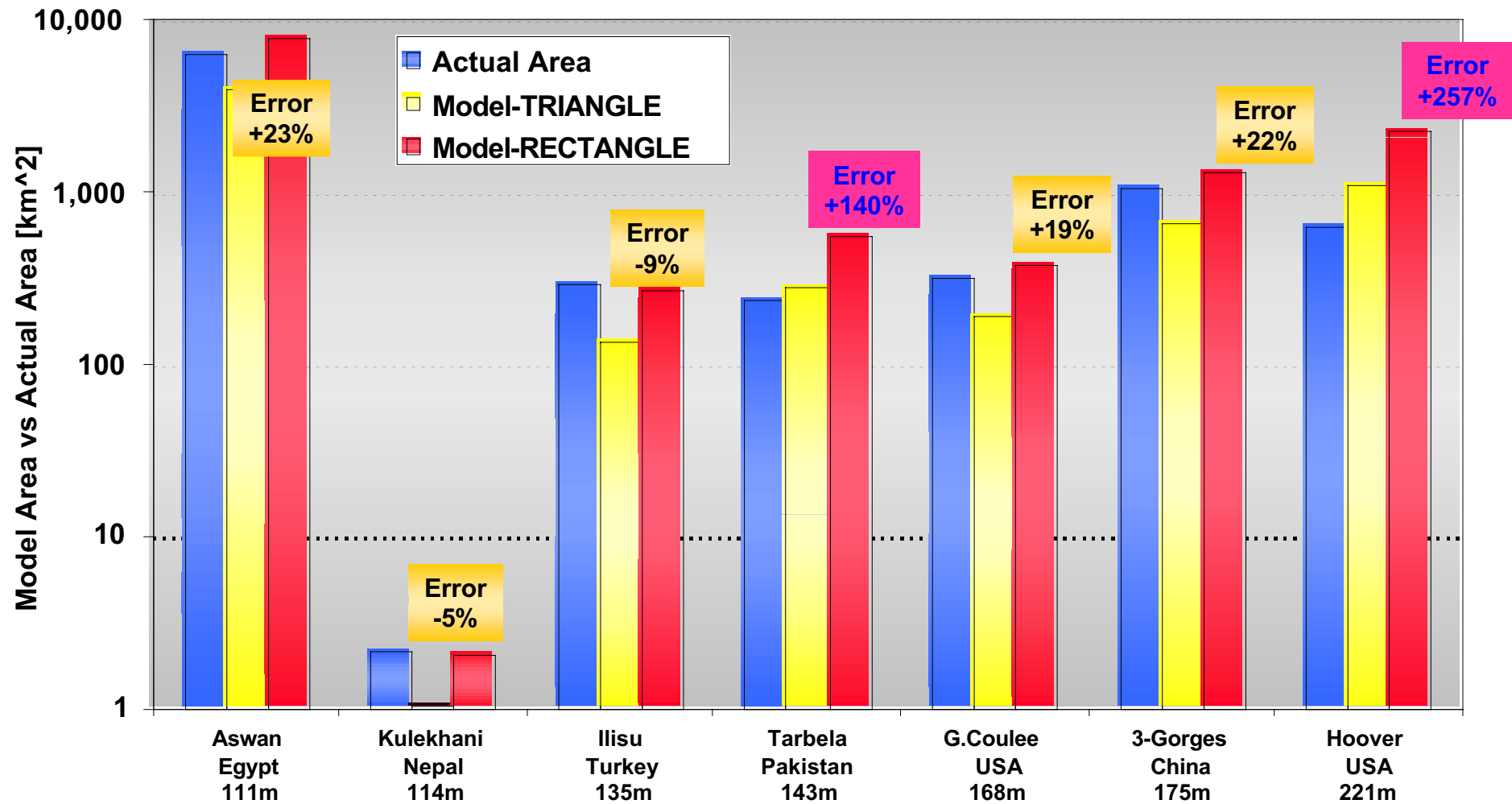
Reservoir Area

The users inputs for reservoir area has priority over the calculated reservoir area

Model Results for 10 Locations: Triangular Shape Assumed For All Location



Model Results for 7 Mountain Locations: Assumes Rectangular Shape



Do you know dam height?

If yes. The model will use it. Otherwise model will estimate the dam height based on:

- (i) head.
- (ii) capacity and flow.



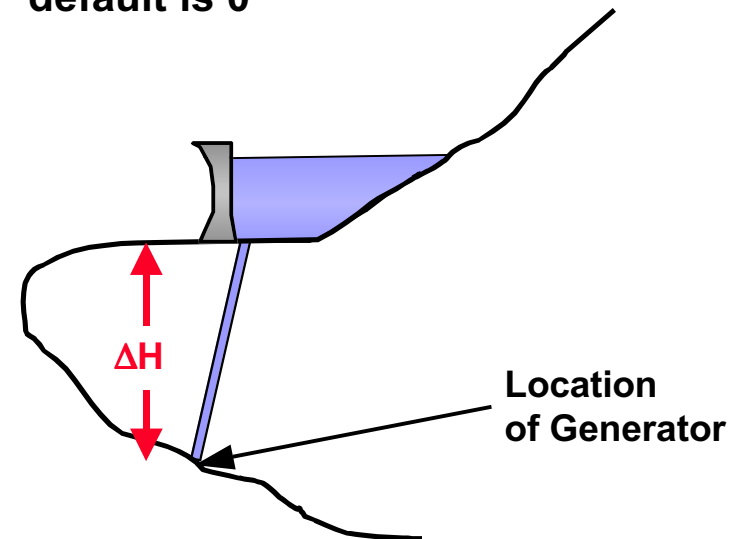
Estimating Dam Height

- Default assumption for ΔH is 0, that is, head equals dam height

$$H_D = Head - \Delta H$$

- $\Delta H < 0$, if head is expected to be noticeably smaller than dam height. If generator house is expected to be located substantially down stream $\Delta H > 0$

ΔH : Additional Head Correction [m]
default is 0



Estimation of Dam Height

$$Head = \frac{P \times 1000}{9.81 \times \eta \times Q_w}$$

P: Power Output [MW]

η : Overall Plant Efficiency [fraction]

Q_w : Discharged water flow from turbine [m³/s]

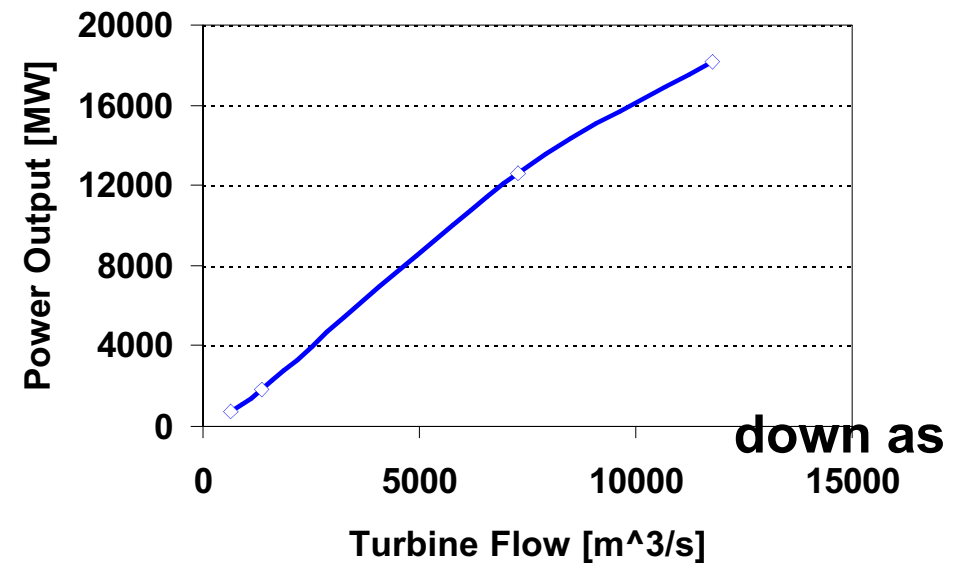
The model uses the following priority for dam height :

- i) Users inputs for dam height .**
- ii) Dam height calculated based on head.**
- iii) Dam height calculated based on capacity and flow.**



Impact of Design Turbine Flow

- If power output and turbine design flow is known, the model will use the previous equation
- If the flow information is unknown, use 5000 m³/s and then scale up and part of a sensitivity analysis



Physical and Economic Impact Estimation of Displacement

- Estimation of displacement follows similar routine than air impacts and is based on regional population density

$$POP_{DIS} = IA_{RS} \left[km^2 \right] \times POP_{Density} \left[\frac{persons}{km^2} \right]$$



Estimating the External Cost of Population Displacement (Levelized per MWh)

As resettlement costs are usually internalized, we calculate the external cost based on people displaced but not resettled or compensated

$$Cost_{DIS} = POP_{DIS} [persons] \times \left(1.33 \times GDP_{PerCapita} \left[\frac{US\$}{person} \right] \right)$$

$$Cost_{DIS,EXT} = Cost_{DIS} [US\$] \times Fraction_{DIS,NOTRES}$$

$$Cost_{DIS,MWh,EXT} = \frac{Cost_{DIS,EXT} [US\$] \times \left(\frac{IR \times (1 + IR)^{ELife}}{(1 + IR)^{ELife} - 1} \right)}{P [MWe] \times 8,760 \times \frac{CF [\%]}{100}} \quad \text{for } IR > 0$$

$$Cost_{DIS,MWh,EXT} = \frac{Cost_{DIS,EXT} [US\$]}{P [MWe] \times 8,760 \times \frac{CF [\%]}{100} \times ELife [years]} \quad \text{for } IR = 0$$



GHG Emissions During Construction and Operation



GHG Emissions during Construction Phase (Life Cycle)

- Equation below uses the emission factors in g/kWh (EF_{Constr}), the plant capacity in MWe (P) and the average capacity factor in % (CF).

$$Emissions_{Constr, Year} = \frac{EF_{Constr} \left[\frac{g}{kWh} \right] \times P [MWe] \times 8,760 \left[\frac{h}{year} \right] \times CF [\%]}{1,000}$$



Emissions Factors for Construction Phase (Life Cycle)

- **Emissions during construction phase depend on the type of dam**
 - Concrete dams (concrete gravity, concrete arch, etc) account for 72% of all dams
 - Embankment dams using earth and rock fill material account for 25% of all dams
- **Material, associated energy requirements, and resulting emissions vary with the type of material used for construction**

	• CO ₂ (g/kWh)		• SO ₂ (g/kWh)	• NO _x (g/kWh)
	• Concrete	• Earth + Rock Fill		
• Low	• 1.00	• 0.10	• 0.008	• 0.003
• High	• 5.90	• 1.00	• 0.100	• 0.013
• Mean	• 2.733	• 0.55	• 0.035	• 0.006
• Source: [IEA, 1998]				



GHG Emissions During Operation Phase

- Once flooded, biomass (vegetation and soil) and carbon inflows from catchment area are decomposed by microbes via aerobic and anaerobic bio processes
- Byproducts are CO₂, CH₄, and to a lesser extent, N₂O
- Measurements in tropical and boreal regions show large range of GHG emissions within countries and between regions
- Larger variation in tropical regions
- In addition, there appear to be strong seasonal and annual variations
- Decomposition varies with time: three phases can be distinguished: (1) initial phase lasting 1-3 years after flooding, (2) erosion phase lasting up to 7-10 year, and (3) balanced phase lasting 10-30 years

Model has two options, Region ID = 1 for Tropical , Region ID = 2 for Boreal



GHG Emissions During Operation Phase (ton/km²/year)

	• Tropical		• Boreal	
	• CO ₂	• CH ₄	• CO ₂	• CH ₄
• Low	• 150	• 1.5	• 183	• 1.8
• High	• 4,000	• 40	• 1,350	• 13.5
• Mean	• 1,798	• 18	• 693	• 6.9
• Sources: [WCD, 2000], [IEA, 1998] • Assumes that 1% of emissions are in form of methane				

$$Emissions_{Operat,Year} = IA_{RS} \left[km^2 \right] \times EF_{Operat} \left[\frac{ton}{km^2 - year} \right]$$

$$GHG_{CE,Total,Year} = CO_{2,Const} \left[\frac{tons}{year} \right] + CO_{2,Operat} \left[\frac{tons}{year} \right] + \left(21 \times CH_{4,Operat} \left[\frac{tons}{year} \right] \right)$$



Accidental Dam Breach



Accidental Dam Breach

- **Several causes for dam failure**

- Seepage
- Overtopping or inadequate spillway
- Seismic
- Slides
- Others

• Cause of Failure	• Occurrence
• Overtopping or inadequate spillway	• 23 – 38%
• seepage	• 30 – 44%
• Slides	• 2 – 15%
• Others	• 9- 35%
• Source: [Christian and Baecher, 1999]	



Risk of Dam Failure and Factors Influencing the Impact Level

- Risk of dam failure is estimated at $1E-4$ per dam per year
- Risk is not uniformly distributed over dam lifetime
 - Higher risk at the beginning
 - About 50% of all dam failures occur during initial reservoir filling to capacity
 - Residual risk more or less uniform over lifetime
- Damage resulting from failure is determined by
 - Population and property at risk
 - Warning time (time for evacuation)
 - Type of terrain
- Warning time has strong influence on impact level
 - 13% average fatalities with warning times less than 1.5 hours, and a fatality rate of 0.04% if the warning time was more than 1.5 hours
- Downstream terrain affects the height and extent of the flood wave as well as the ability to evacuate and avoid the impact of the wave



Determining the Number of Lives Lost per Accident and the Expected Lives Lost

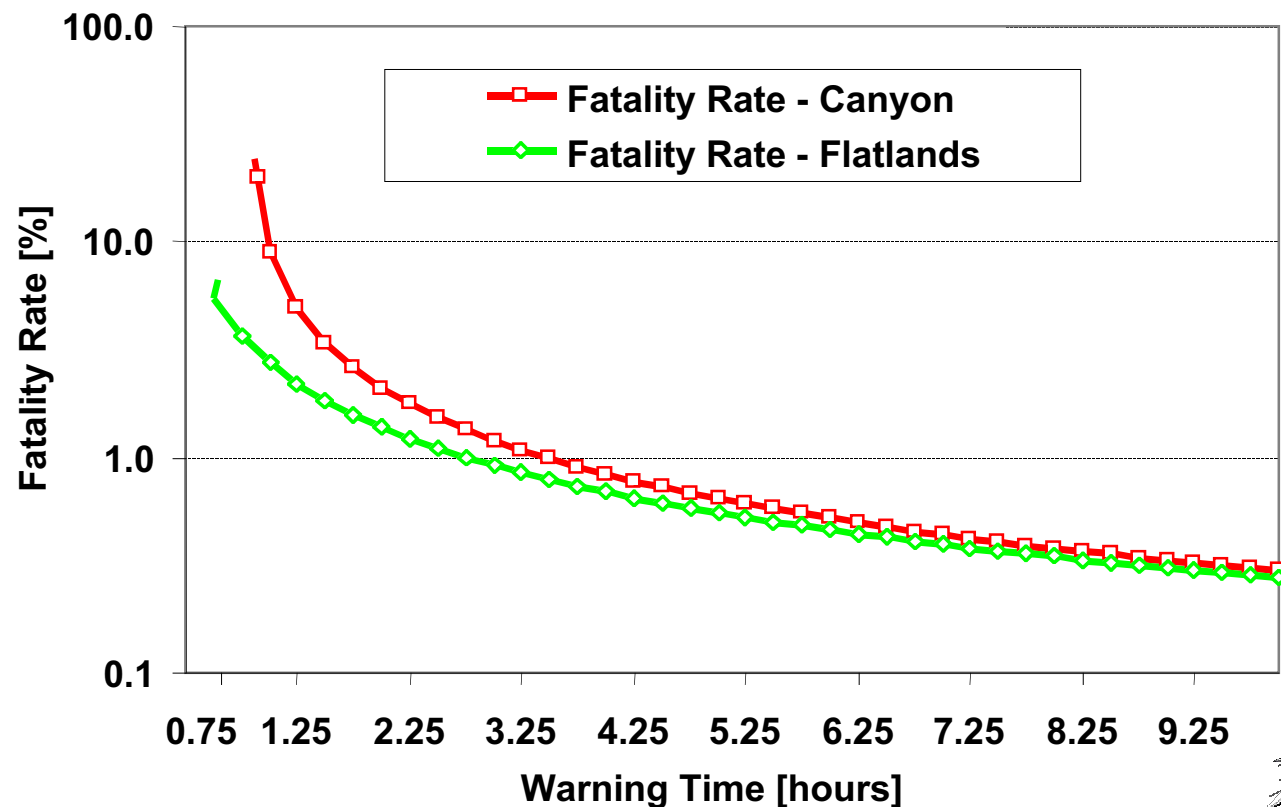
$$LIVES_{Lost,Acc} = \frac{POP_{Risk} [persons]}{(1 + 5.207) \times (5.838 \times TIME_{Warn} [hours] - TER)}$$

$$TER_{Canyons} = 4.012$$

$$TER_{Flatlands} = 0$$

$$EXPLives_{Lost,Year} = FR_D \times LIVES_{Lost,Acc}$$

- FR_D Default dam failure rate is 1E-4
- Equation works for warning times of 0.75 and higher
- Chart clearly shows effect of warning time and terrain



Estimating the External Cost of Accidents and Total External Cost (Levelized per MWh)

- Allows adjustment of the value of statistical life (VSL)

$$VSL_{CountryX} = \$1,500,000 \times \frac{GDP_{PPP,CountryX}}{23,550}$$

$$Cost_{LossLife,MWh,EXT} = \frac{EXPLives_{Lost,Year} \times VSL_{CountryX}}{P [MWe] \times 8,760 \times \frac{CF [\%]}{100}}$$



Estimating the External Cost of Land Loss (Levelized per MWh)



Estimating the External Cost of Land Loss (Levelized per MWh)

- For simplicity, three land categories: forest, farmland, other
- Similar to resettlement, accounts for internalizing most of the cost

$$Cost_{LandLoss,EXT} = (1 - FIC) \times \sum_{i=1}^3 \left(IA_{RS,i} [km^2] \times Cost_{Landuse\ i} \left[\frac{US\$}{hectare} \right] \times 100 \right)$$

$$Cost_{LandLoss,MWh,EXT} = \frac{Cost_{LandLoss,EXT} [US\$] \times \left(\frac{IR \times (1 + IR)^{ELife}}{(1 + IR)^{ELife} - 1} \right)}{P [MWe] \times 8,760 \times \frac{CF [\%]}{100}} \quad \text{for } IR > 0$$

$$Cost_{LandLoss,MWh,EXT} = \frac{Cost_{LandLoss,EXT} [US\$]}{P [MWe] \times 8,760 \times \frac{CF [\%]}{100} \times ELife [years]} \quad \text{for } IR = 0$$



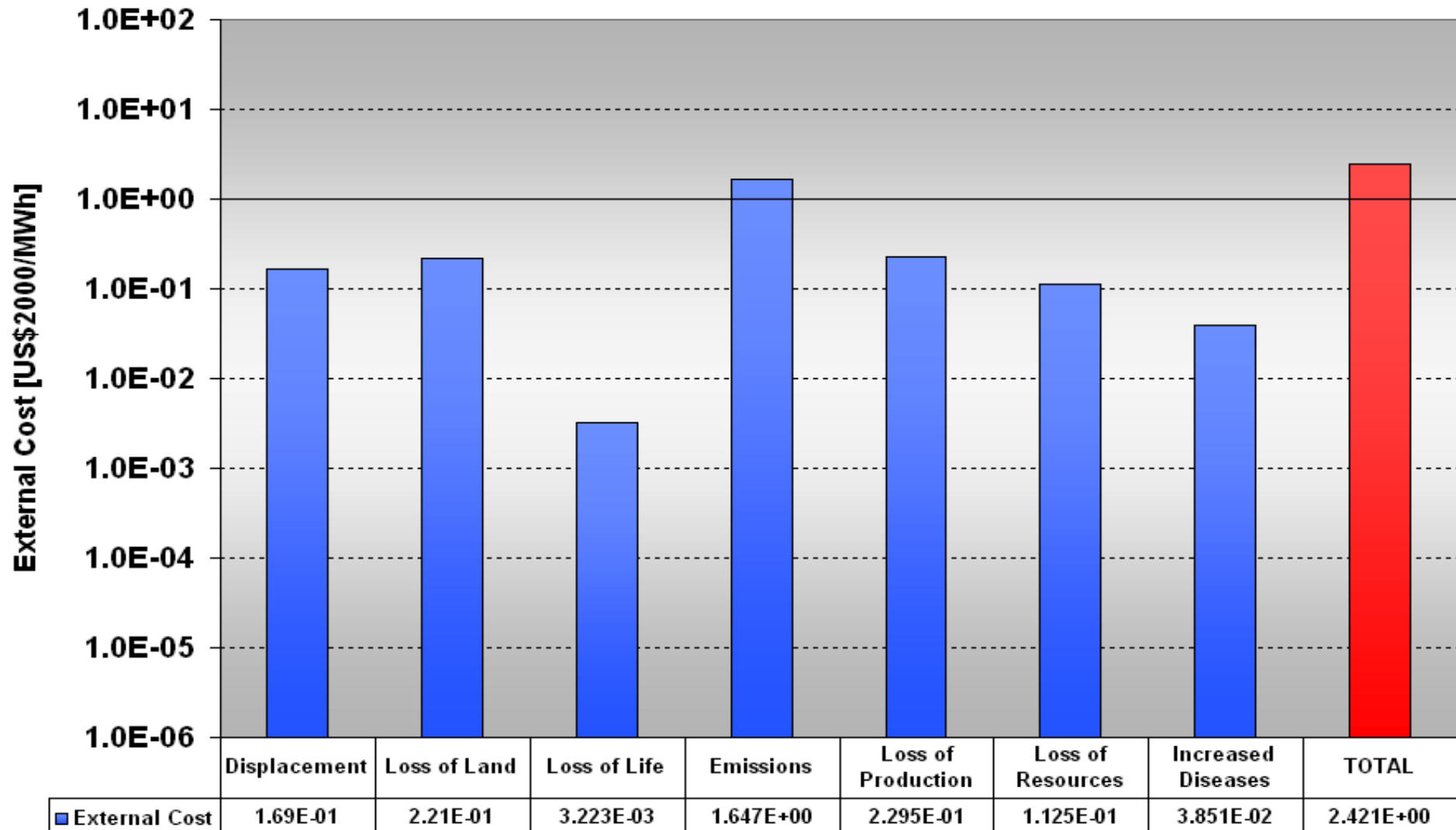
Total External Cost (Levelized per MWh)

- If physical impacts are known, model allows to include cost of loss of agricultural and livestock production
- Total cost is sum of individual cost components

$$Cost_{TOTAL,MWh,EXT} = \sum_{i=1}^n Cost_{MWh,EXT}$$



Model Results – Economic Summary



Thank You

