



the
abdus salam
international centre for theoretical physics

ICTP 40th Anniversary

*SCHOOL ON SYNCHROTRON RADIATION AND APPLICATIONS
In memory of J.C. Fuggle & L. Fonda*

19 April - 21 May 2004

Miramare - Trieste, Italy

1561/40

**Contrast mechanisms and detectors
used in full-field imaging and scanning transmission
x-ray microscopes**

B. Kaulich

**Contrast mechanisms and detectors used in
full-field imaging and scanning transmission
x-ray microscopes**

Burkhard Kaulich

Sincrotrone Trieste, X-ray Microscopy Section

Aim of the lecture

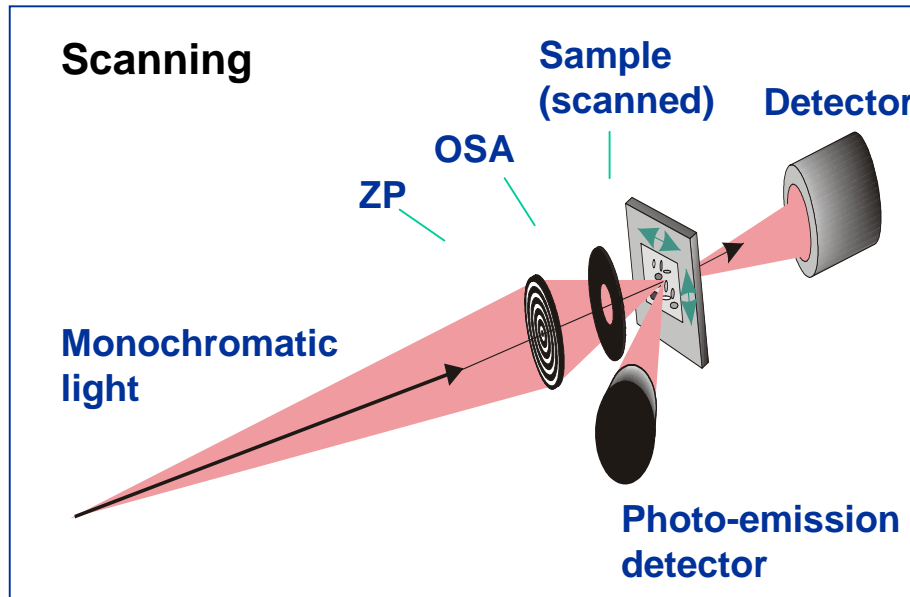
This lecture aims at introducing different contrast and detector technologies

and giving a comparison between techniques used for visible light and X-rays

Structure of the lecture

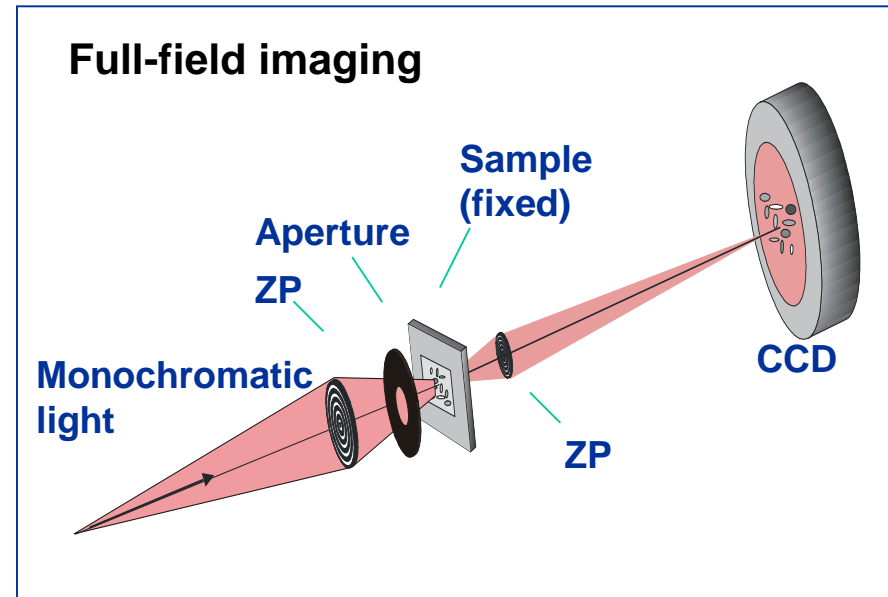
- Necessary background information
 - Basic principles of contrast techniques
 - Introduction to visible light techniques
 - Comparison of visible light techniques with X-ray techniques
 - Detector technologies
 - Influence of detector principles to imaging contrast
-

Background info: X-ray microscopy types



- + versatile detectors can run simultaneously;
- + easier optics set-up;
- long exposure time;
- complex electronics.

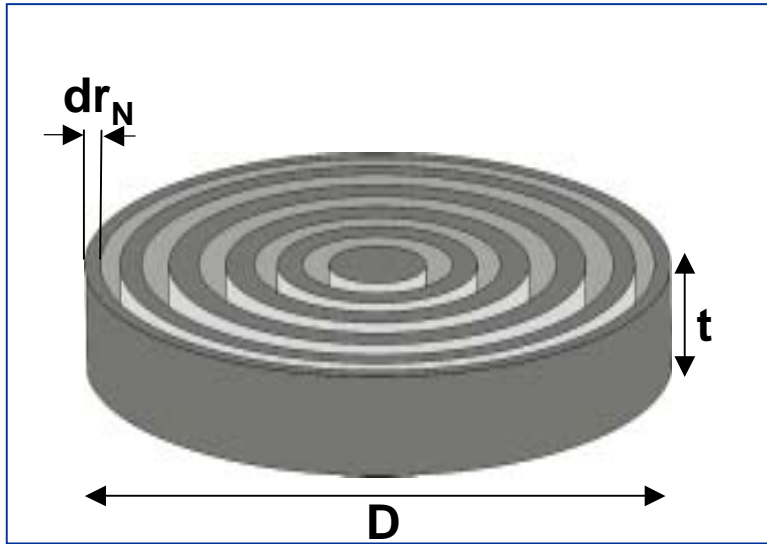
Ideal for spectromicroscopy



- + short exposure time;
- + higher resolution - static system;
- complex optical alignment.

Ideal for dynamic studies and tomography

Background info: Zone plates



Zone plate is a circular diffraction grating with radially decreasing line width

$$\frac{1}{f} = \frac{1}{p} + \frac{1}{q} \quad \text{if } n > 100$$

In terms of ZP parameters:

$$f_m = \frac{2}{m} D dr_N / \lambda$$

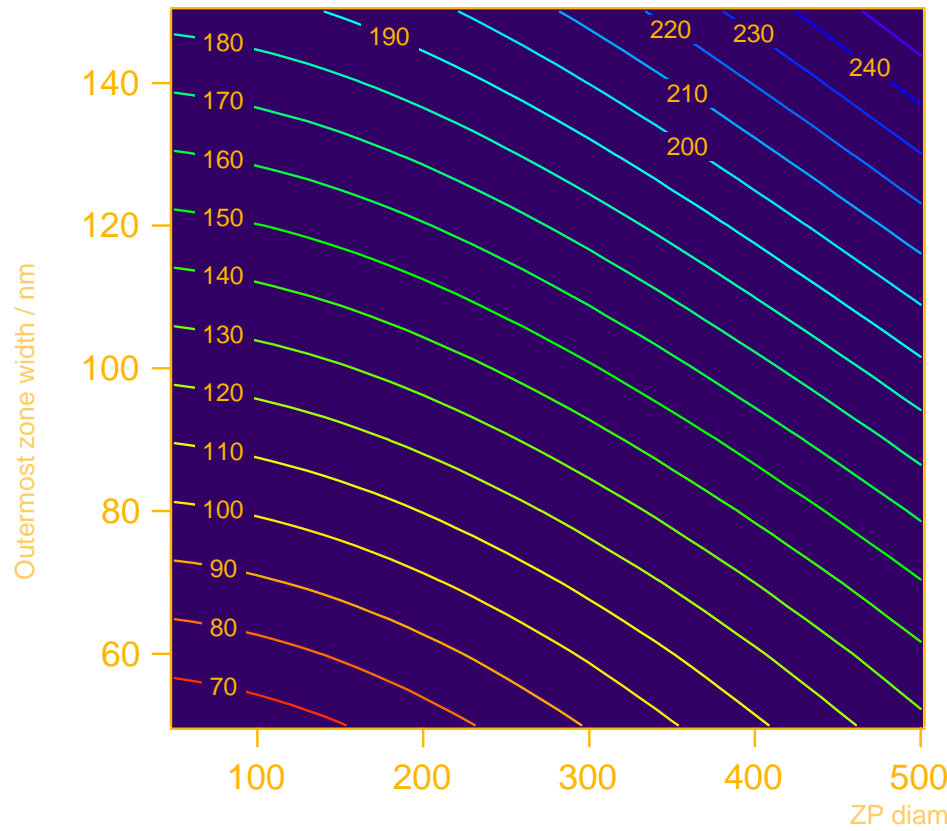
To avoid chromatic aberrations:

$$\frac{E}{\Delta E} \geq n m$$

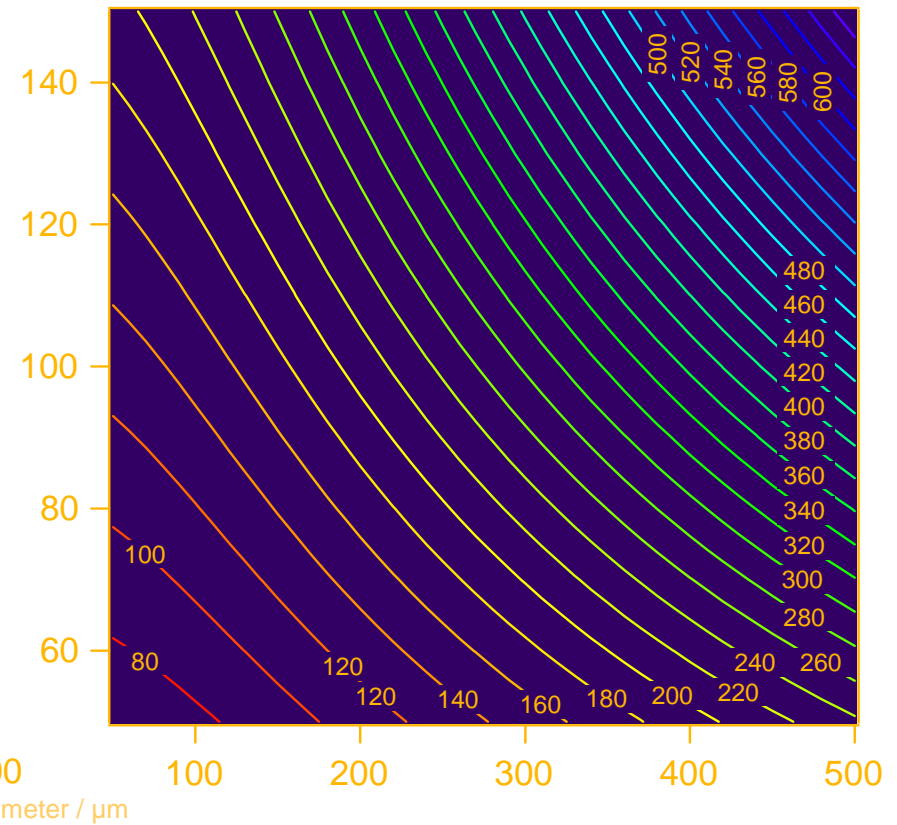
Background info: Spatial resolution of ZPs

$$\delta = \sqrt{(1.22\Delta r_N)^2 + \left(\sigma \frac{q}{p}\right)^2 + \left(\varnothing \frac{\Delta E}{E}\right)^2}$$

$h\nu = 500 \text{ eV}, E/\Delta E = 5000$



$h\nu = 2000 \text{ eV}, E/\Delta E = 5000$



Refractive index and contrast for X-rays

Refractive index $n(\lambda)$:

$$n(\lambda) = 1 - \delta(\lambda) - i\beta(\lambda) = 1 - \frac{n_a r_e \lambda^2}{2\pi} f_1(\lambda) - f_2(\lambda)$$

$\delta(\lambda)$: Phase term

$\beta(\lambda)$: Absorption term

n_a : average atom density

r_e : classical electron radius

f_1, f_2 : atomic form factors

- Refractive index n is close to unity
- Refractive index n is slightly smaller than unity
- Ratio δ/β can be considerably large
- f_1, f_2 tabulated by *Henke et al.*

Refractive index and X-ray contrast techniques

X-ray contrast is generated by *differences* in the complex scattering factor per unit volume

$$\delta(\lambda) = \frac{n_a r_e \lambda^2}{2\pi} f_1(\lambda)$$



Absorption:

- Bright-field imaging
- Chemical contrast techniques
- Magnetic contrast techniques

$$\beta(\lambda) = \frac{n_a r_e \lambda^2}{2\pi} f_2(\lambda)$$



Scattering, refraction:

- Zernike phase contrast
 - Differential phase contrast
 - Differential interference contrast
 - Dark-field imaging
-

Basic principles of contrasts

- **Contrast is not an inherent property of the specimen, but is dependent upon interaction of the specimen with light AND the efficiency of the optical system to record the image to the detector**
 - **Human eye needs at least about 2% image contrast to distinguish between image and background**
 - **Values might vary for other detectors**
 - **With each detector, the signal to noise ratio must be large enough to be interpreted in terms of the formation of an image**
-

Definition of contrast

Often applied definition:

Contrast is defined as the difference in light intensity between the image and the adjacent background relative to the overall background intensity

$$C = 100 \cdot \frac{(I_S - I_B)}{I_B}$$

I_S : Specimen intensity
 I_B : Background intensity

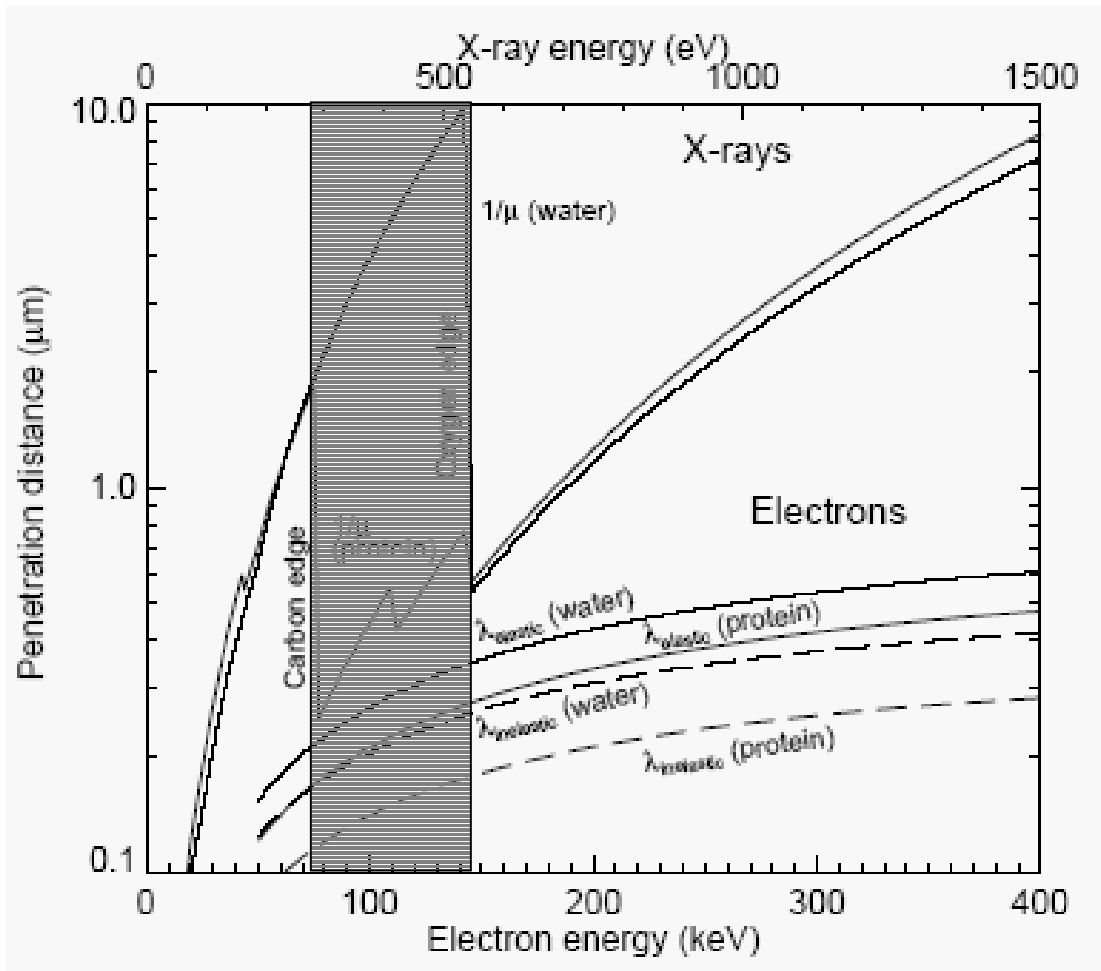
Definition used for XRM:

Contrast is defined as the difference in maximum and minimum light intensity normalized to the sum of maximum and minimum light intensity

$$C = \frac{(I_{\max} - I_{\min})}{I_{\max} + I_{\min}}$$

I_{\max} : Max. image intensity
 I_{\min} : Min. image intensity

Natural amplitude contrast between water and organic matter



The “Water Window”:

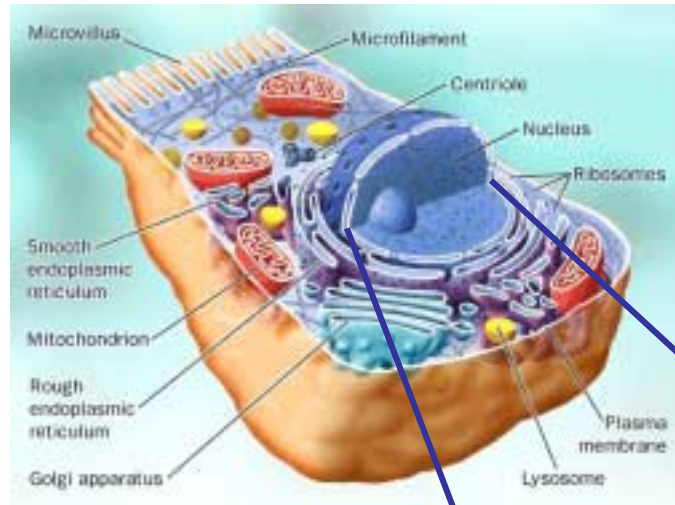
$$283 \text{ eV} < h\nu < 532 \text{ eV}$$

Due to dramatic difference in the f_2 values of two materials, especially water and organic matter between the C and O K-absorption edges.

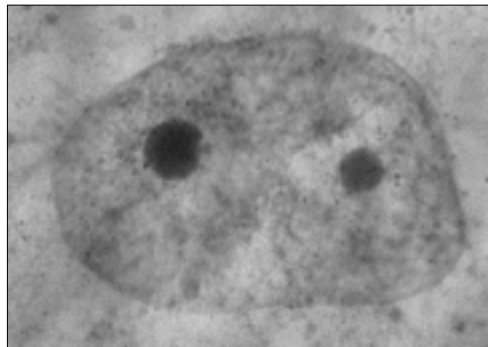
Note the penetration distance compared to electrons !!!

H. Wolter: *Spiegelsysteme streifenden Einfalls als abbildende Optiken fuer Roentgenstrahlen*, Ann. Phys. **10**, 94-114, 286 (1952)

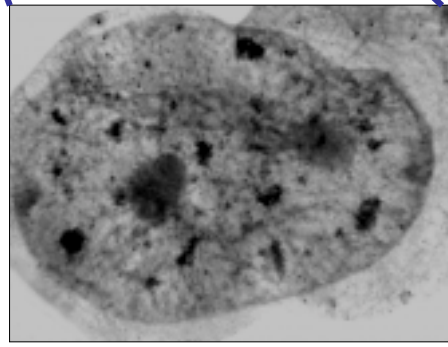
Brightfield imaging in the “water window”



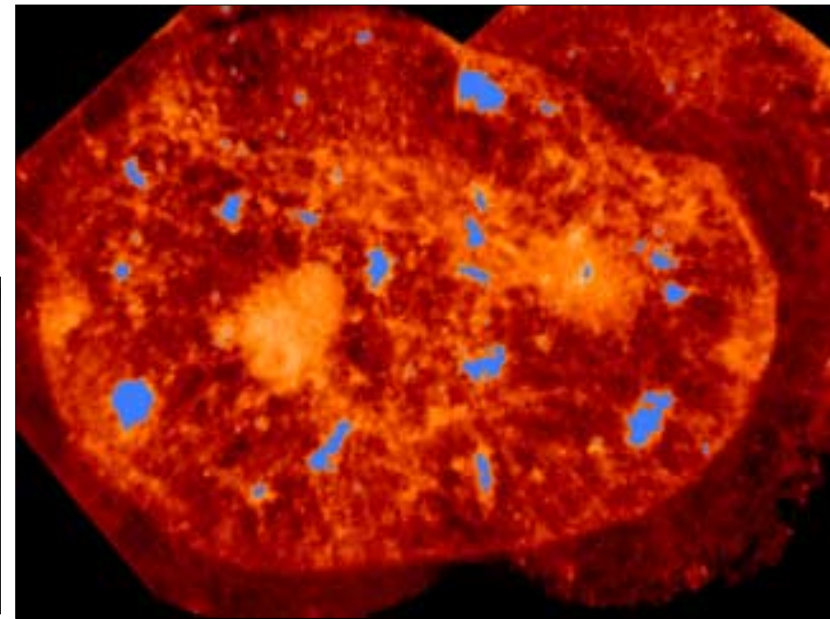
Location of Splicing Factors in whole, hydrated human mammary epithelial cells (ALS, TXM XM1)



Control nucleus, no primary antibody

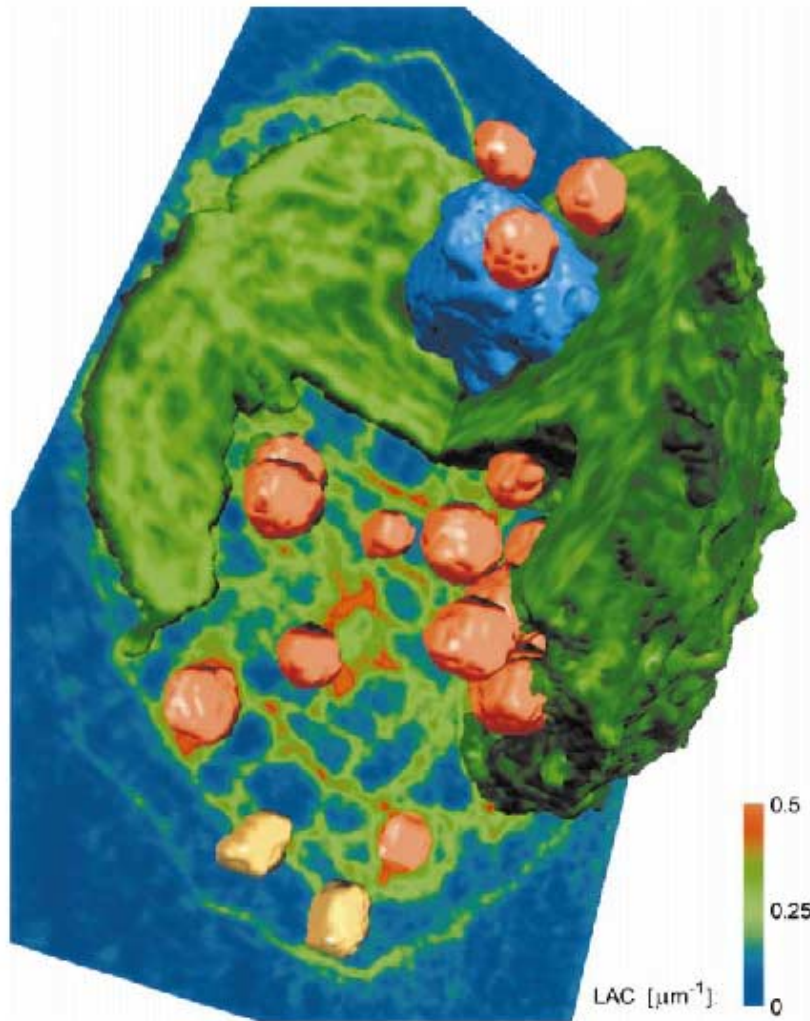


Single nucleus labeled using antibodies specific for splicing factors



Same nucleus, splicing factors colored blue

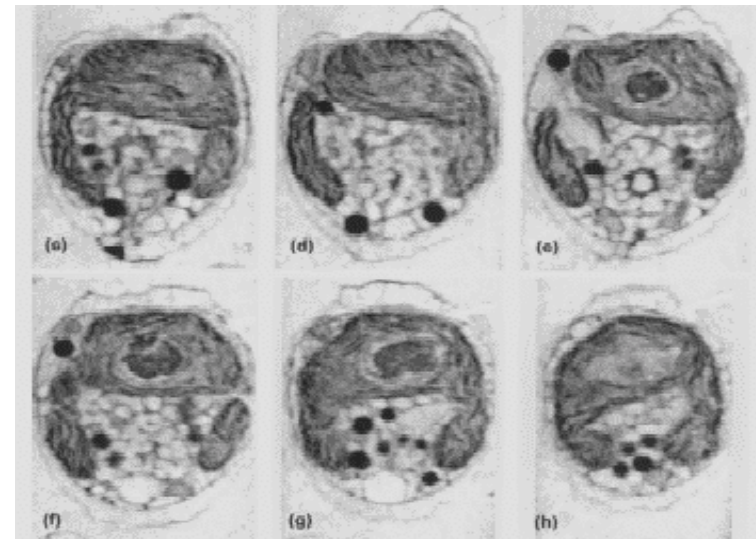
Water window brightfield imaging in combination with tomography



X-ray tomography of hydrated specimen “close to their living state”

Alga: *Chlamydomonas reinhardtii*

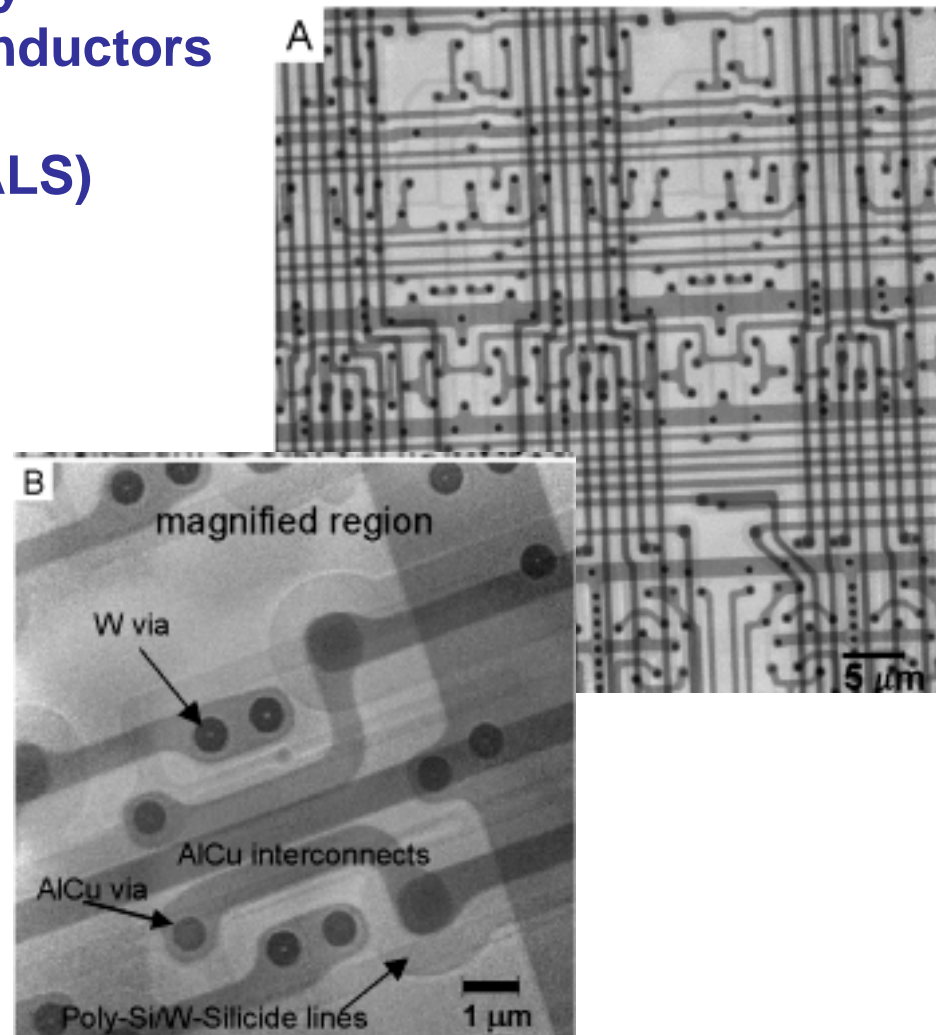
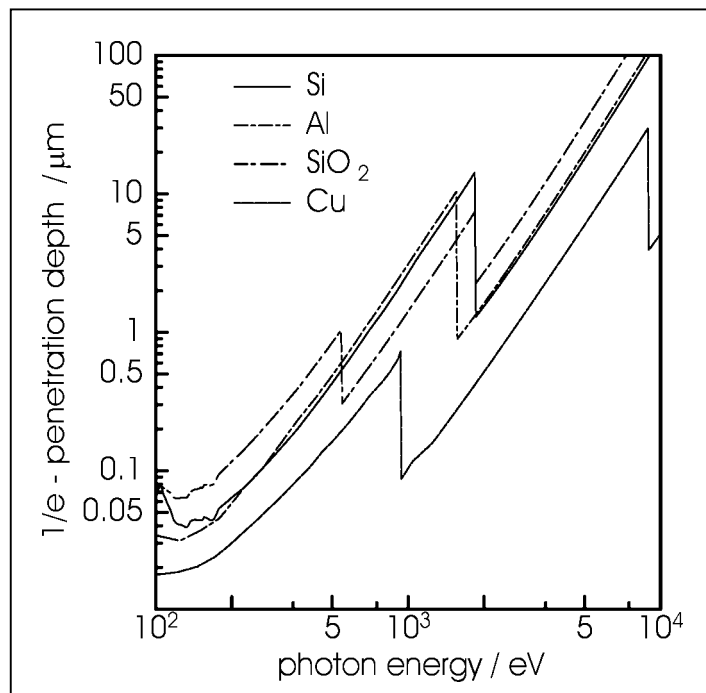
Acquired with the full-field imaging Microscope at BESSY I



Brightfield imaging at higher photon energies

Characterization of morphology and defects in modern semiconductors with a full-field imaging microscope (@ 1.8 keV, XM1/ ALS)

Sample preparation:
Back side thinning of Si wafer



Darkfield imaging

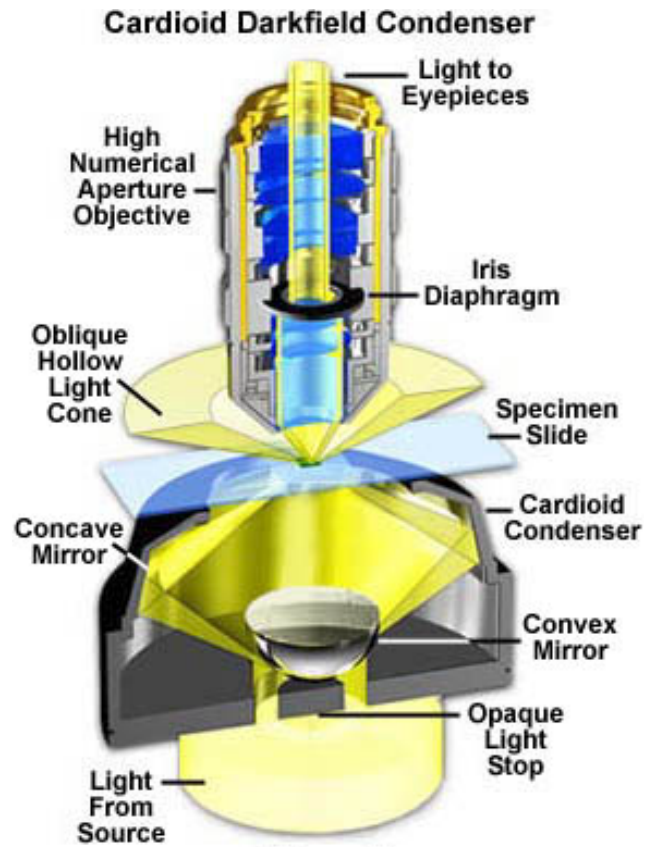
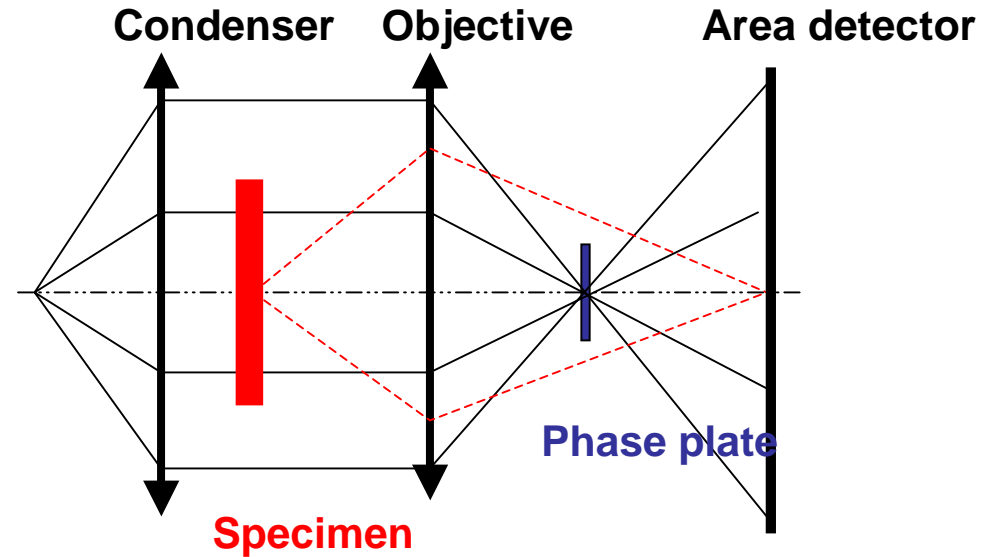
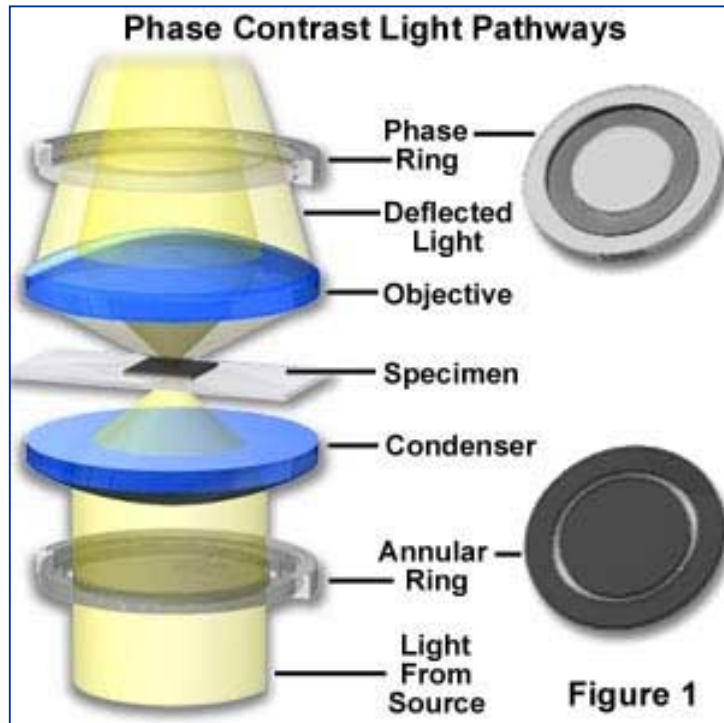


Figure 1

Darkfield imaging in X-ray microscopy

Basics: Zernike phase contrast

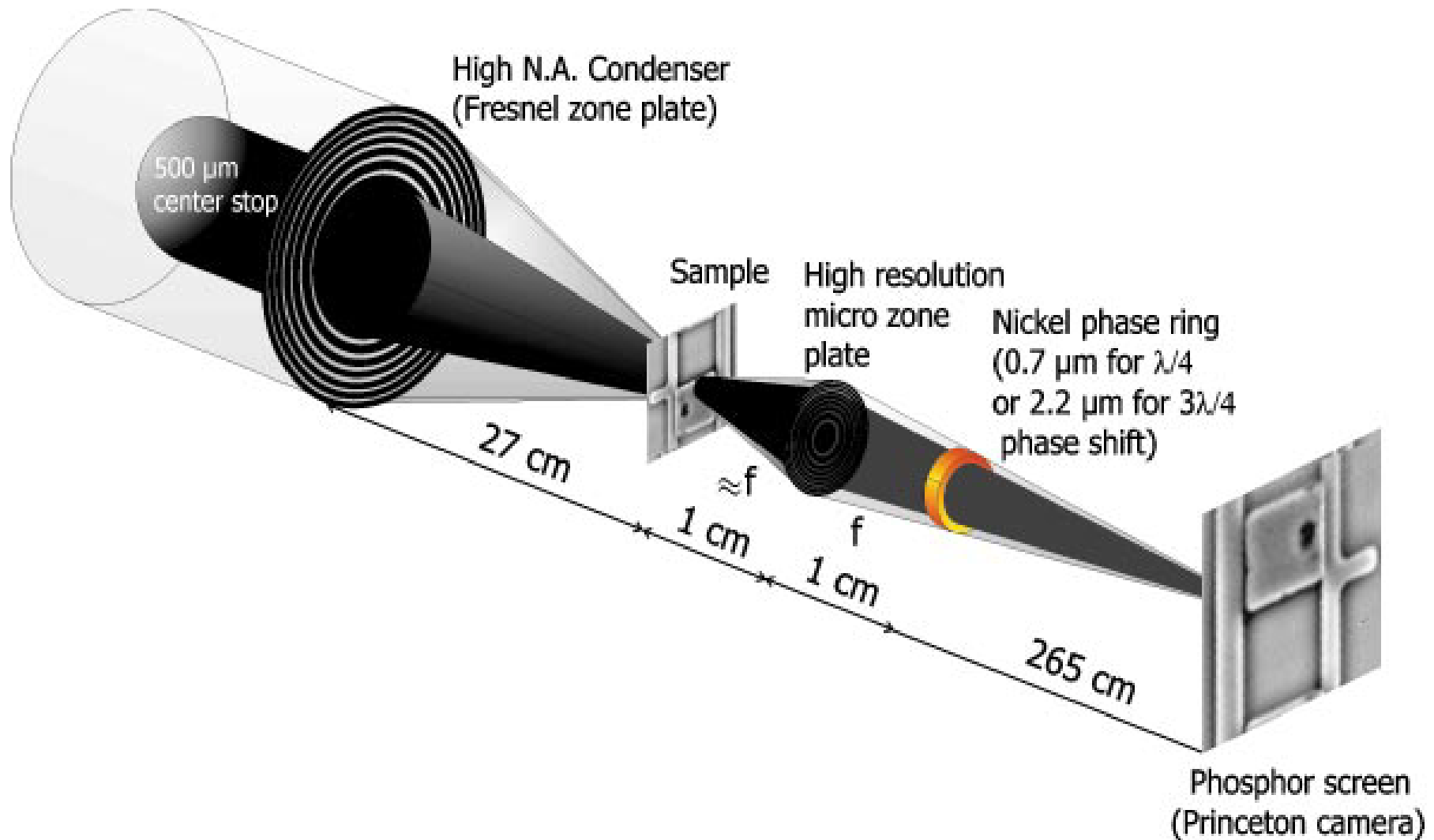


$$A_{specimen} = A_{surr} e^{i\Phi} = A_{surr} e^{i \frac{2\pi}{\lambda} \Delta t} \approx A_{surr} (1 + i\Phi) \quad \Phi \ll 1$$

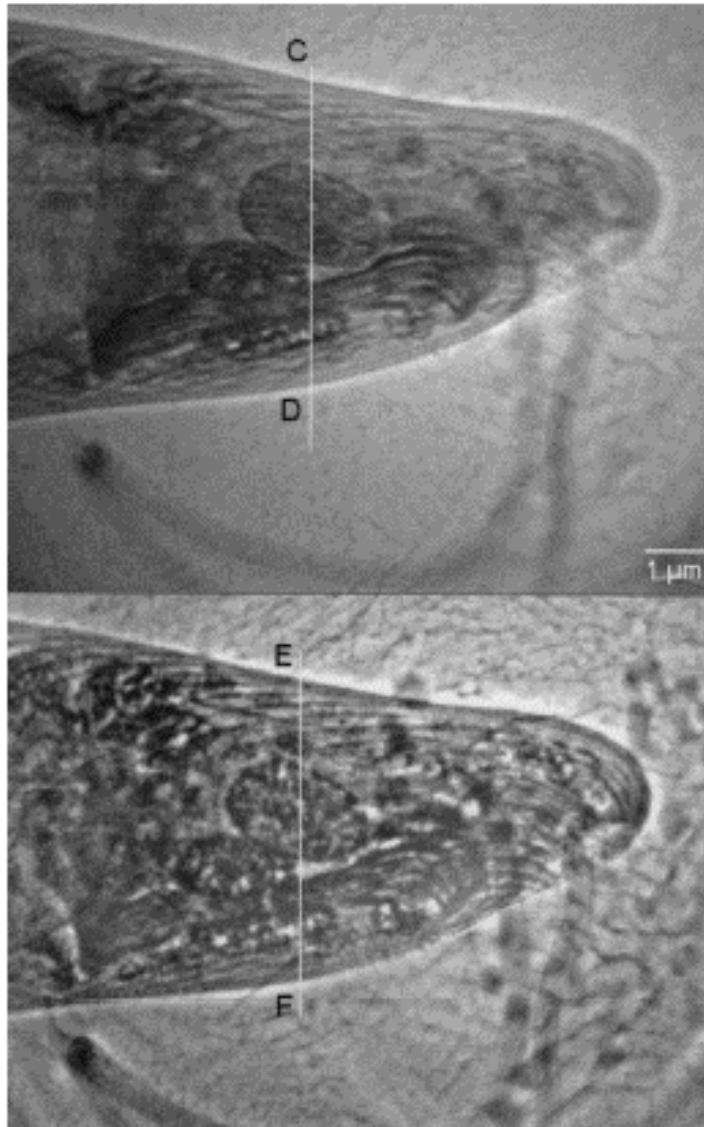
Phase plate in “back-focal” plane: Phase of A_{surr} can be shifted by $\pm \pi/2$!!!

Phase differences are converted in amplitude differences !!!

Zernike phase contrast in full-field imaging X-ray microscopy



Zernike phase contrast in X-ray microscopy



Amplitude and Zernike phase contrast images of an alga *Euglena gracilis*

E = 500 eV, accumulated dose is 3×10^6 Gray

Amplitude: 3 s

Phase contrast: 15 s

Drawbacks of Zernike phase contrast:

- Halos around structures
 - Quantitative analysis difficult
 - Limitation in spatial resolution
 - Not all spatial frequencies are treated equally
-

Principle of Differential interference contrast

Differential Interference Contrast Schematic

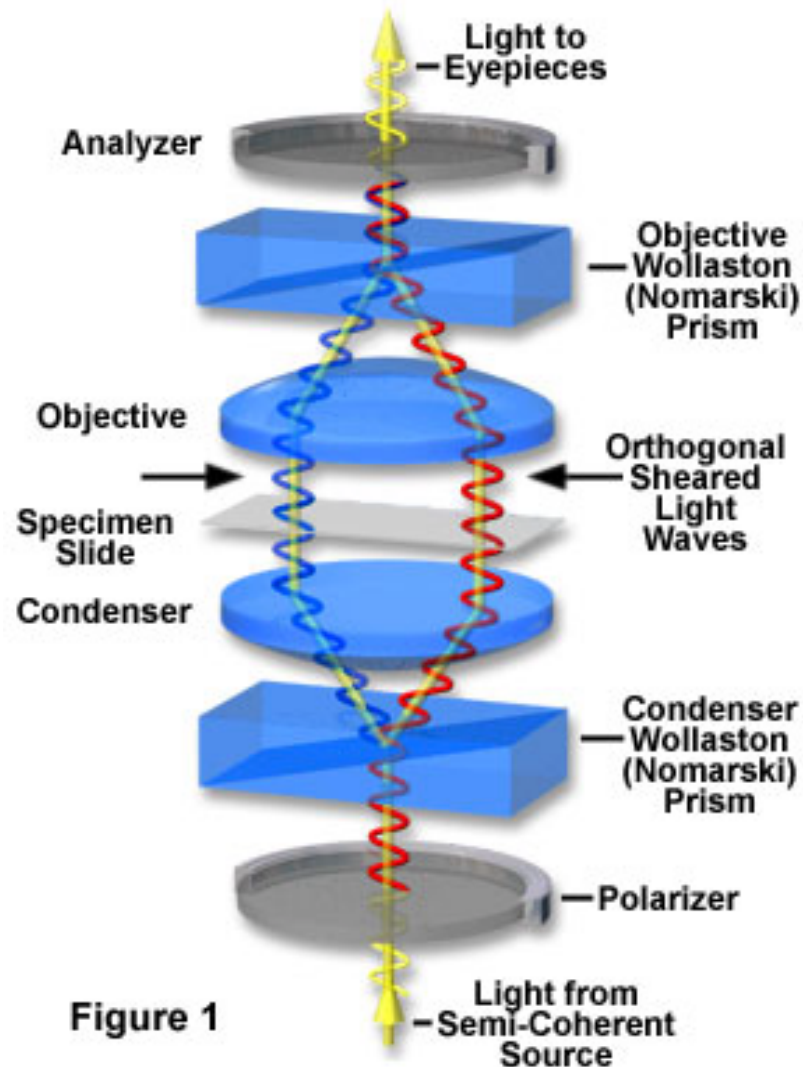


Figure 1

- Light is polarized beneath the condenser optic
- Light pass is split by a modified Wollaston prism
- Sheared waves are recombined by a “Nomarski” prism

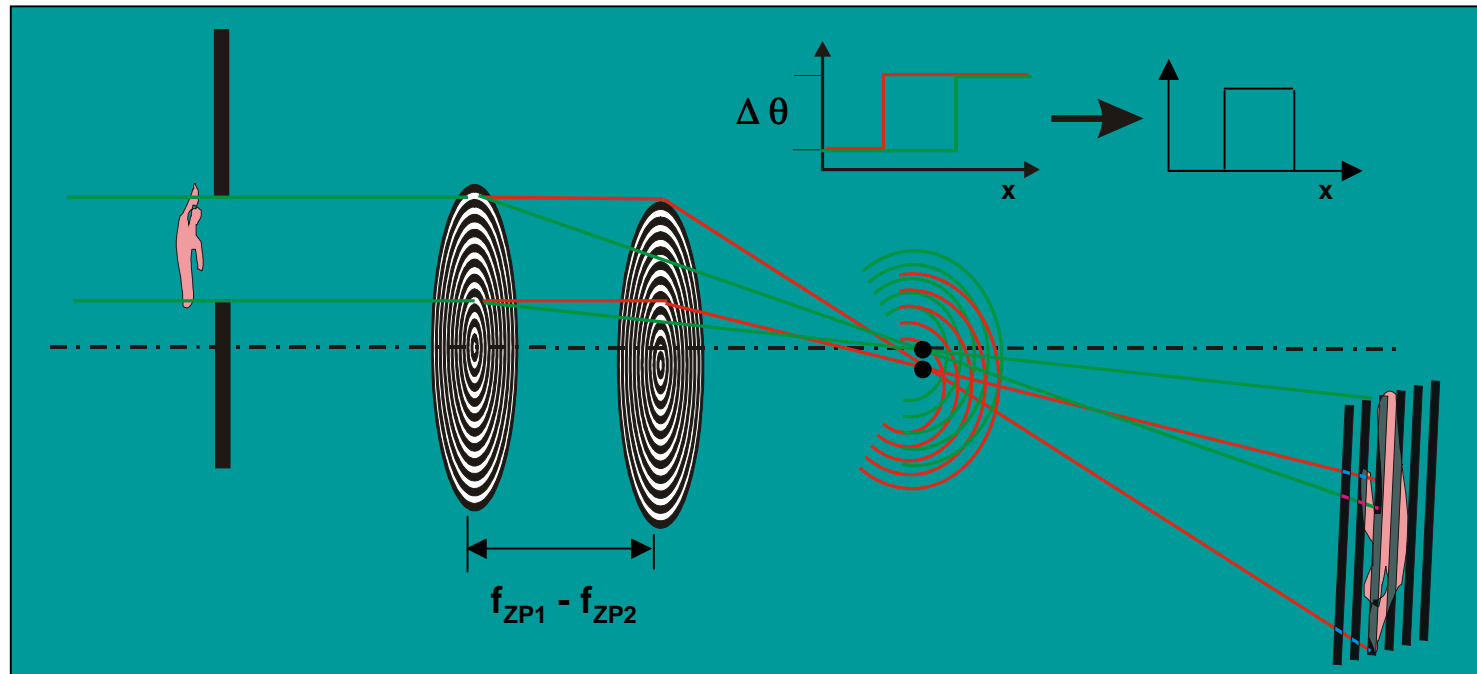
Difficulty for X-rays:

No way to create prisms necessary for beam shearing

Crystal shearers are too large to be implemented in the optical scheme and not appropriate for soft X-rays

Diffractive optics interferometry with X-rays

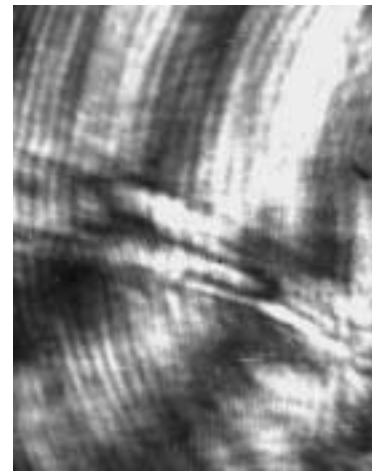
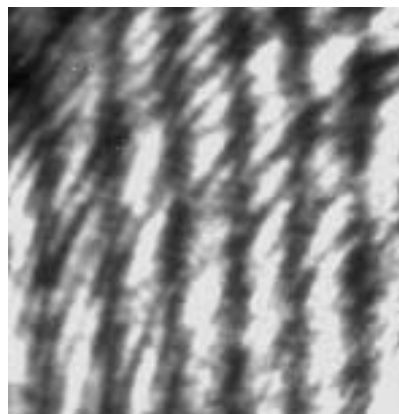
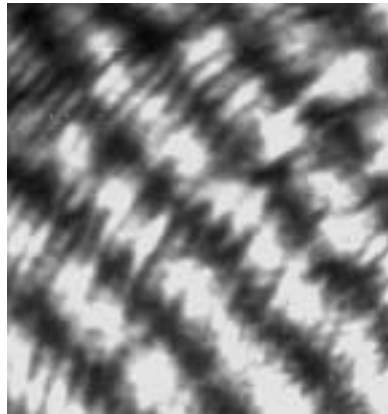
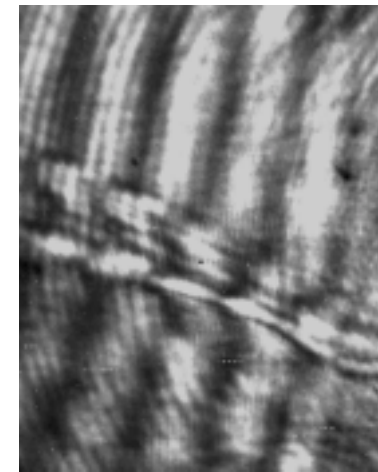
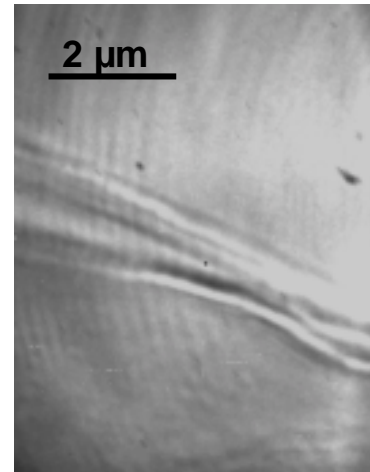
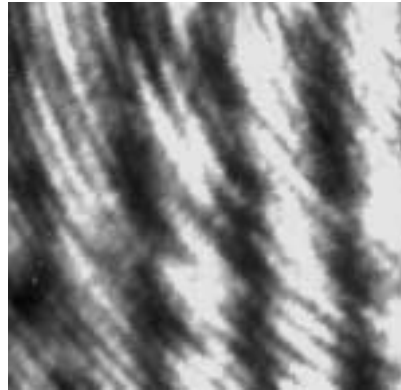
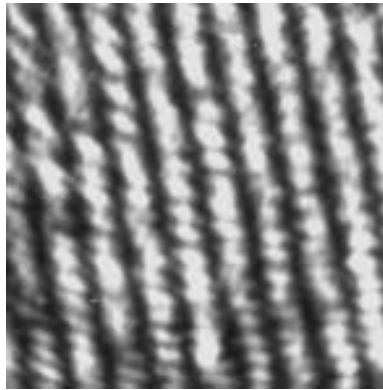
Principle: *Wave front division by different diffraction orders of zone zone plate(s)*



- Wave front division with as small as possible shears possible
 - Interference pattern is overlapped to a X-ray image
-

Diffraction optics interferometry with X-rays

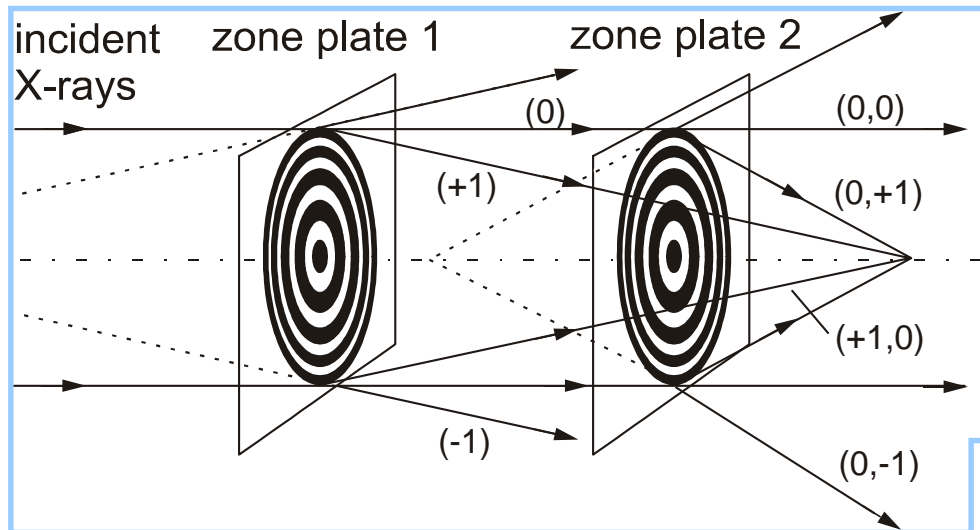
Control of the interference pattern



Edge of 50 μm Kapton foil

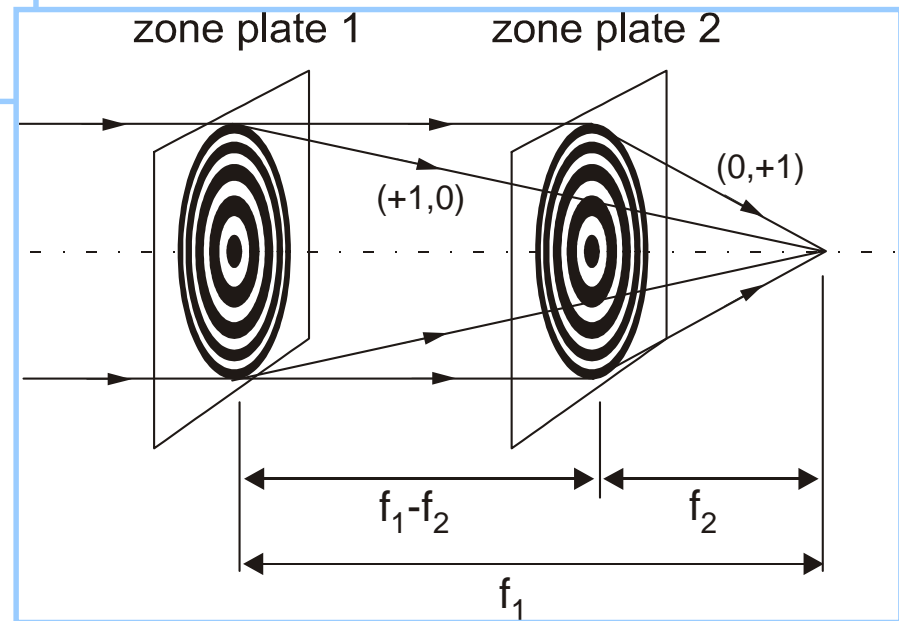
T. Wilhein, B. Kaulich, J. Susini (accepted for Opt. Communic.)

The principle of X-ray DIC in detail

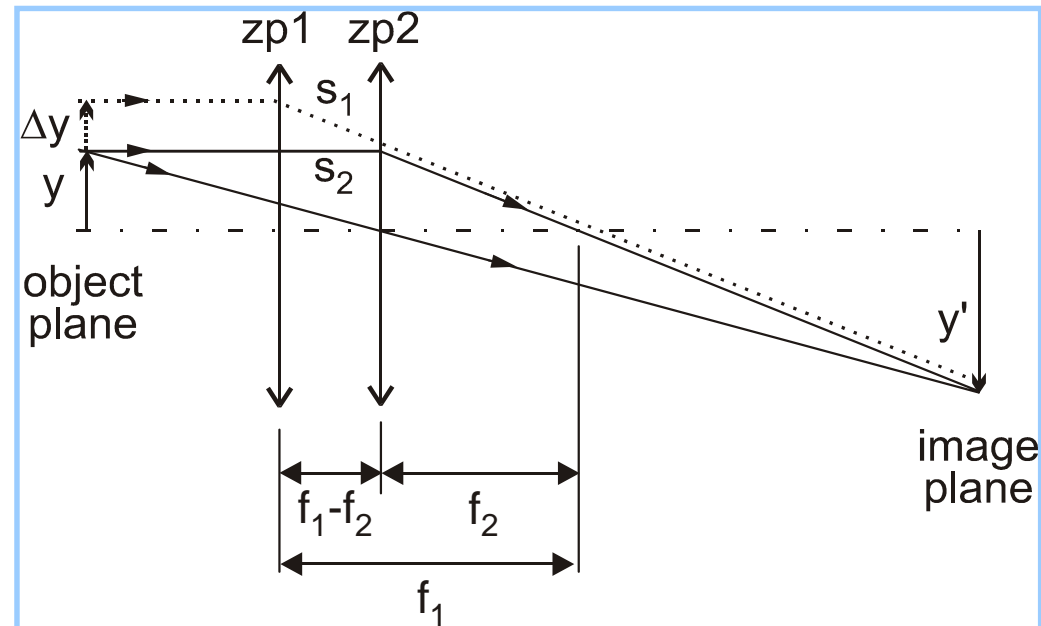


Two zone plates split and combine an incident wave in a set of waves that may interfere behind zone plate 2.

Two zone plates with focal length f_1 and f_2 separated by $f_1 - f_2$ allow for best fringe control (only relevant beams displayed).



Coherence considerations for DIC with X-rays



Temporal coherence

$$\Delta s \approx \frac{\Delta y^2}{2 \cdot (f_1 - f_2)} = \frac{(f_1 - f_2) \cdot y^2}{2 \cdot f_2^2}$$

$$\Delta s < \text{coherence length } l_{coh}$$

Spatial coherence

$$\Delta y = \frac{(f_1 - f_2)}{f_2} \cdot y$$

$$\Delta y < \text{coherently illuminated field } D$$

Spatial coherence considerations for X-rays with DIC

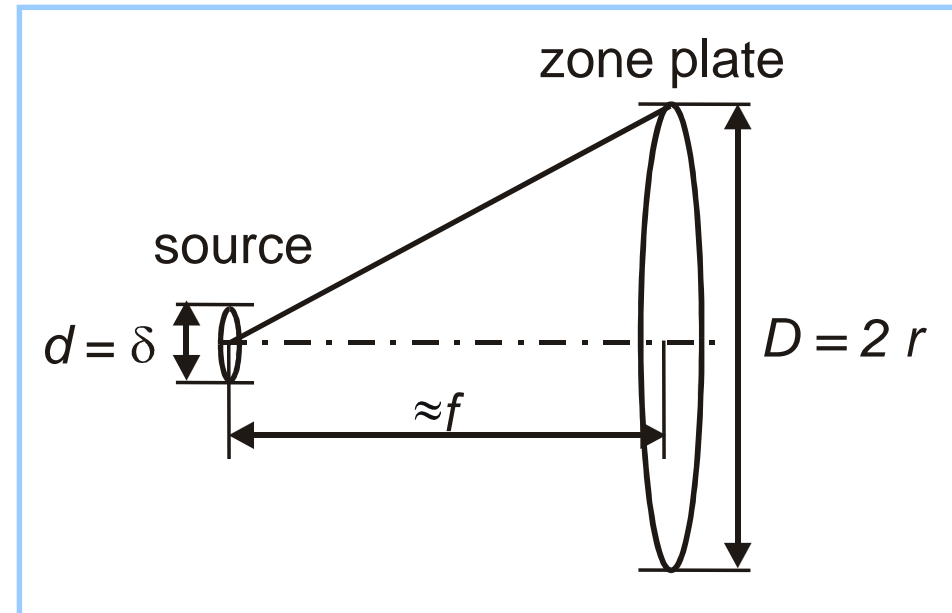
ZP focal length and spatial resolution

$$f = 2 r \cdot \Delta r / \lambda$$

$$\delta = 1.22 \cdot \Delta r$$

**Coherently illuminated field
(van Zittert - Zernike)**

$$D = 0.61 \cdot \frac{L \cdot \lambda}{d/2} = 0.61 \cdot \frac{f \cdot \lambda}{\delta/2}$$



Result:

$$D = 0.61 \cdot \frac{f \cdot \lambda}{\delta/2} = 0.61 \cdot \frac{f \cdot \lambda}{1.22 \cdot \Delta r/2} = 0.61 \cdot \frac{f \cdot \lambda \cdot 2 \cdot r}{1.22 \cdot \lambda \cdot f/2} = 2 \cdot r$$

**DIC intrinsically
coherent !**

Temporal coherence considerations for DIC with X-rays

Monochromaticity needed for zone plate imaging

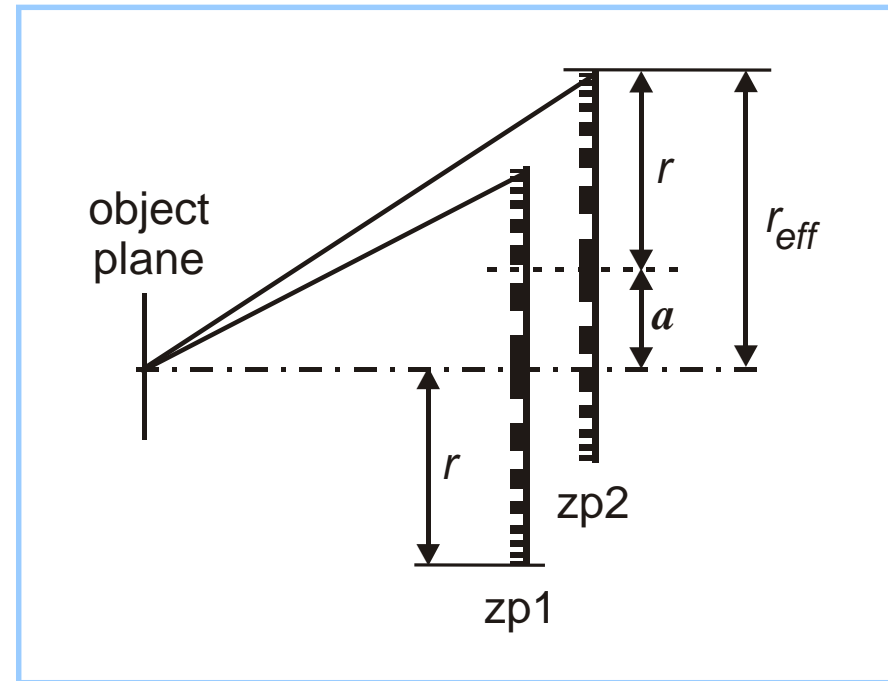
$$\frac{\lambda}{\Delta\lambda} \geq N$$

Effective radius of ZPD

$$r_{eff} = r + a \approx r + \Delta r$$

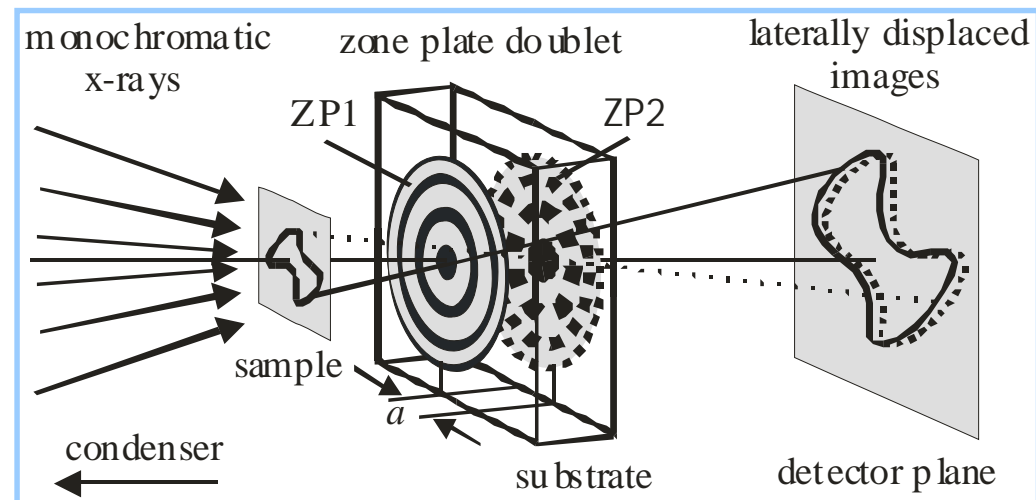
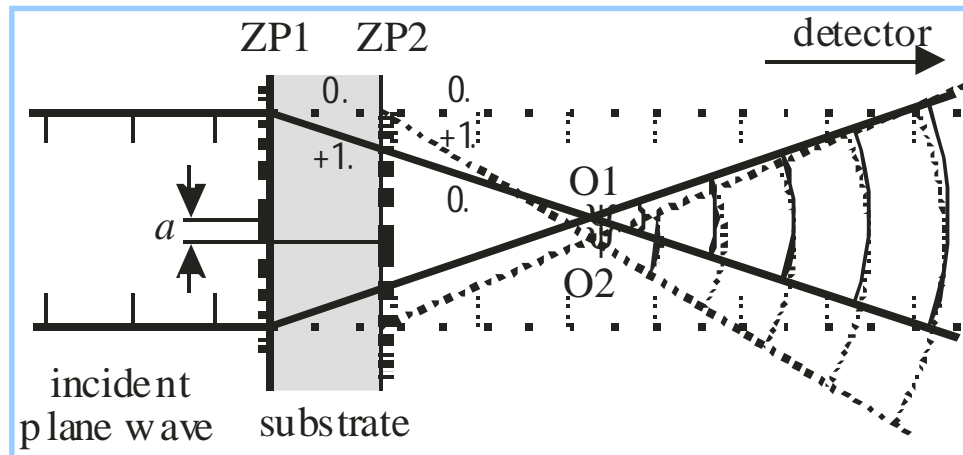
Effective number of zones of ZPD

$$N_{eff} \approx \frac{(r + \Delta r)^2}{\lambda \cdot f} = N + 1 \approx N$$



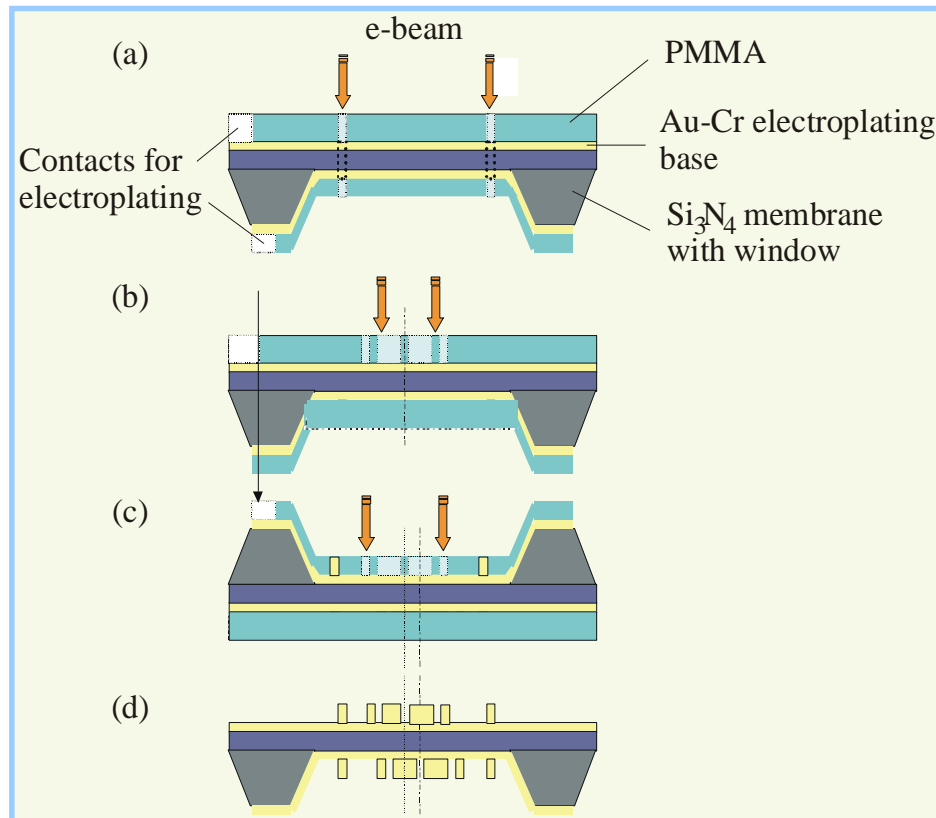
No constraints stronger than for single zone plates !

Optical setup for DIC with X-rays in the TXM mode

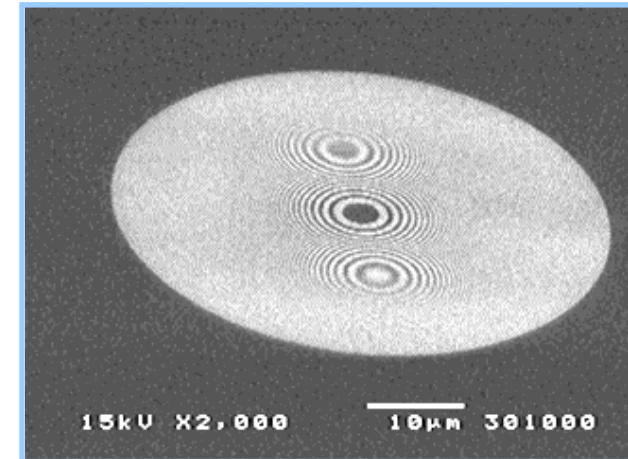


From an incident plane wave, the ZPD creates two spherical waves originating from O1 and O2 in its back focal plane

Fabrication of a "two ZP" setup

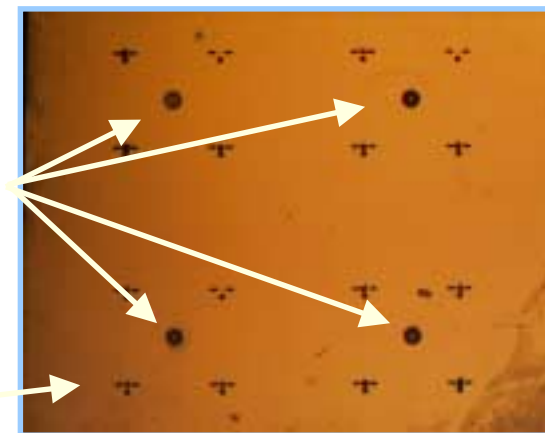


Generation process of ZPDs



SEM micrograph

VIS microscope image



four ZPDs

registration marks

DIC with a full-field imaging microscope

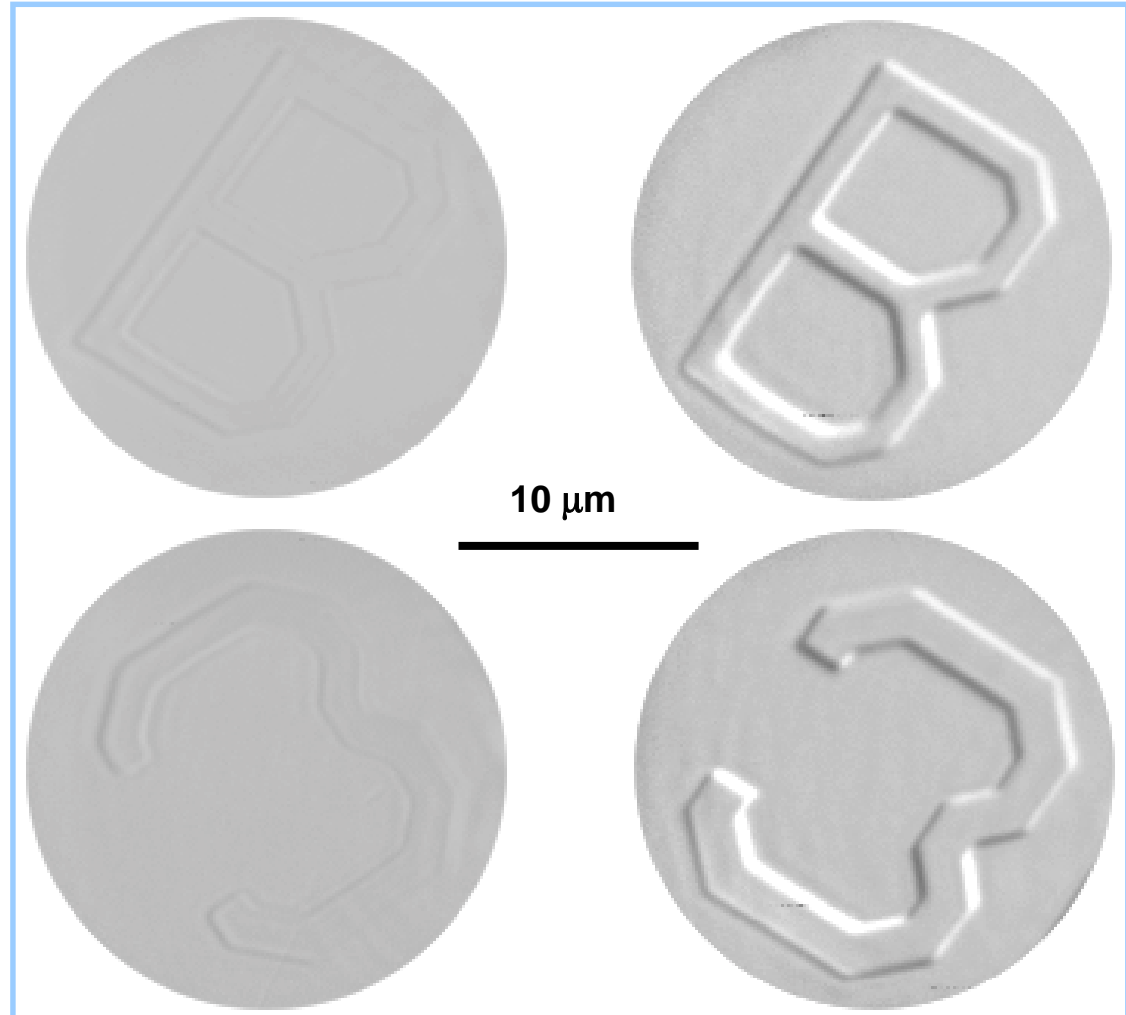
X-ray microscope images of a 2 μm thick PMMA test object taken at ID21 at ESRF.

left side: bright field

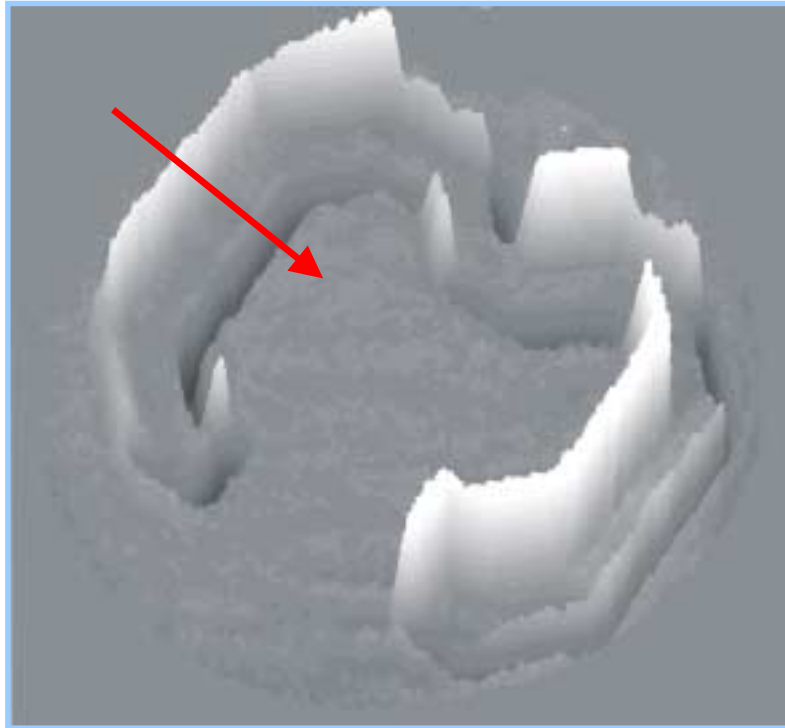
right side: X-DIC with ZPD

$\lambda = 0.31 \text{ nm}$

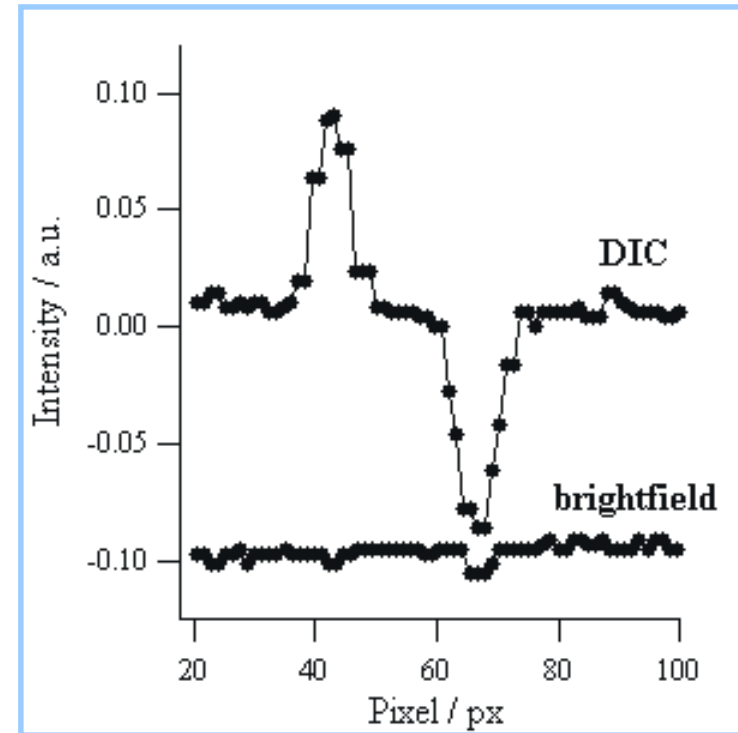
exposure time 20 s



DIC with a full-field imaging setup

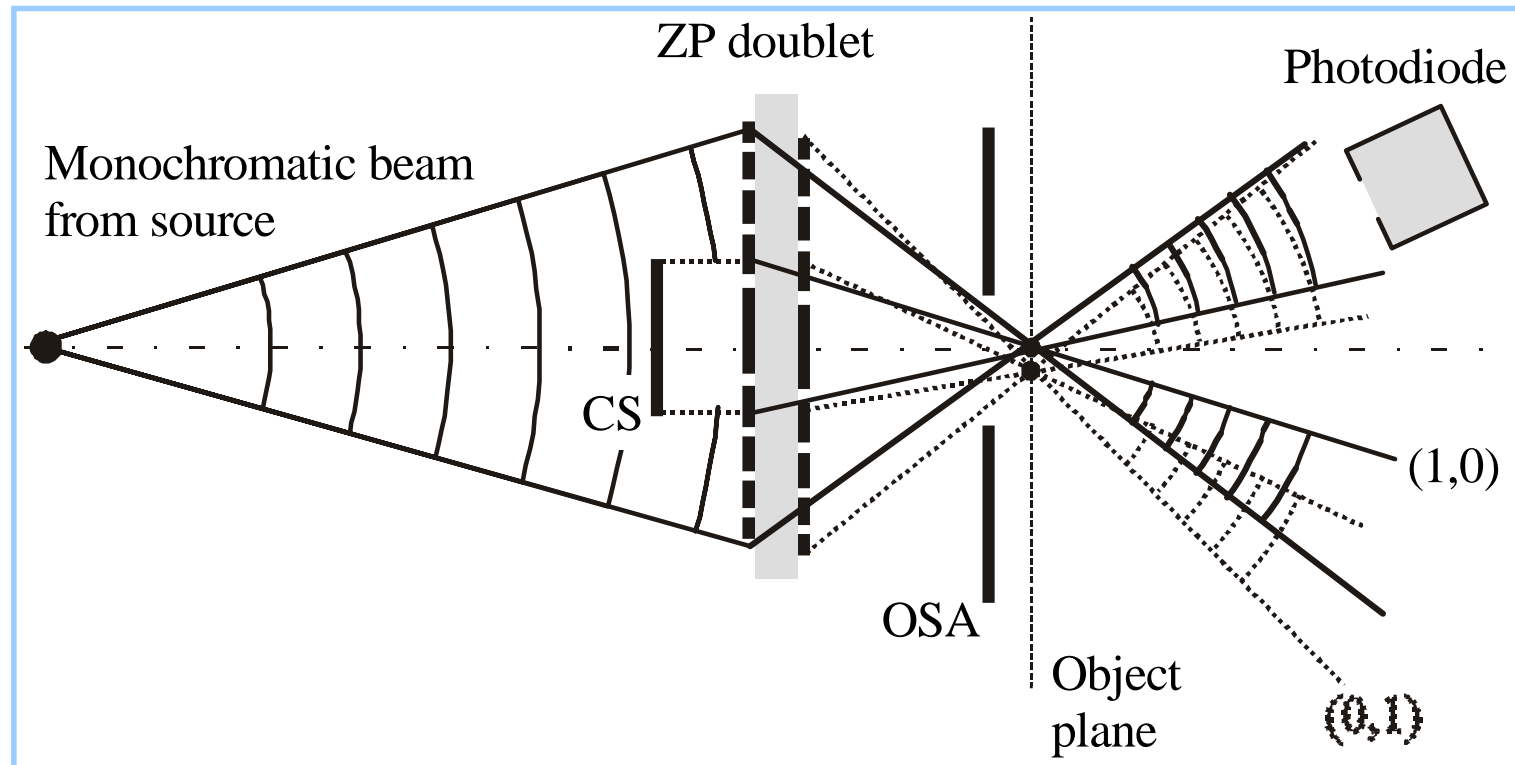


3d contour-plot of letter “ 3 “



line scan across object feature

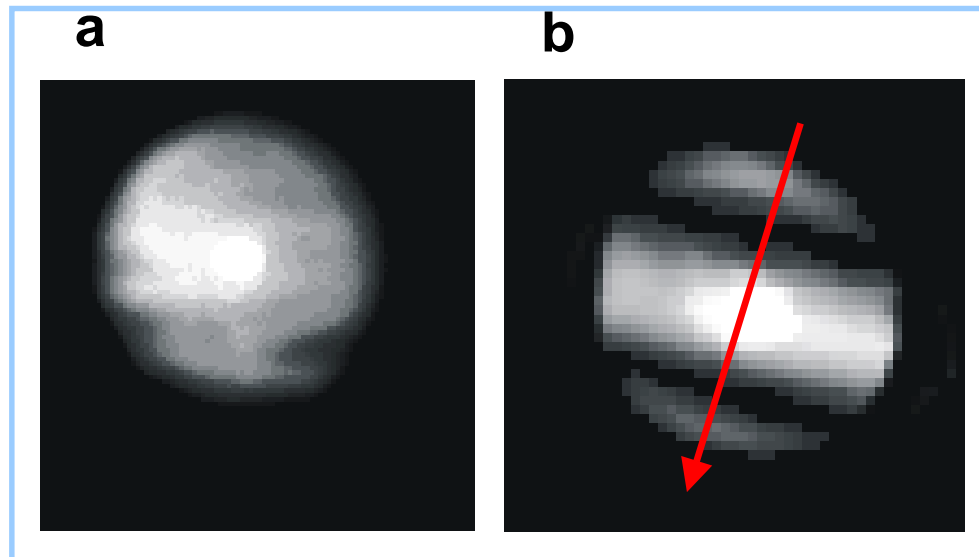
DIC with a scanning X-ray microscope



The ZPD creates two spots in the object plane. The phase shift between the two waves introduced by the object leads to interference contrast detected by the photodiode

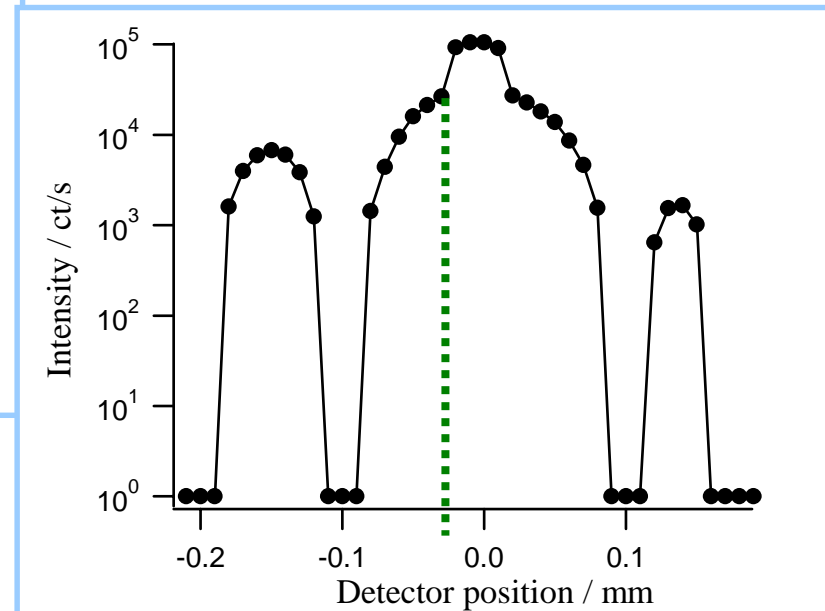
DIC with a scanning X-ray microscope

Raster scan across +1. diffraction order with 50 μm aperture in front of photodiode



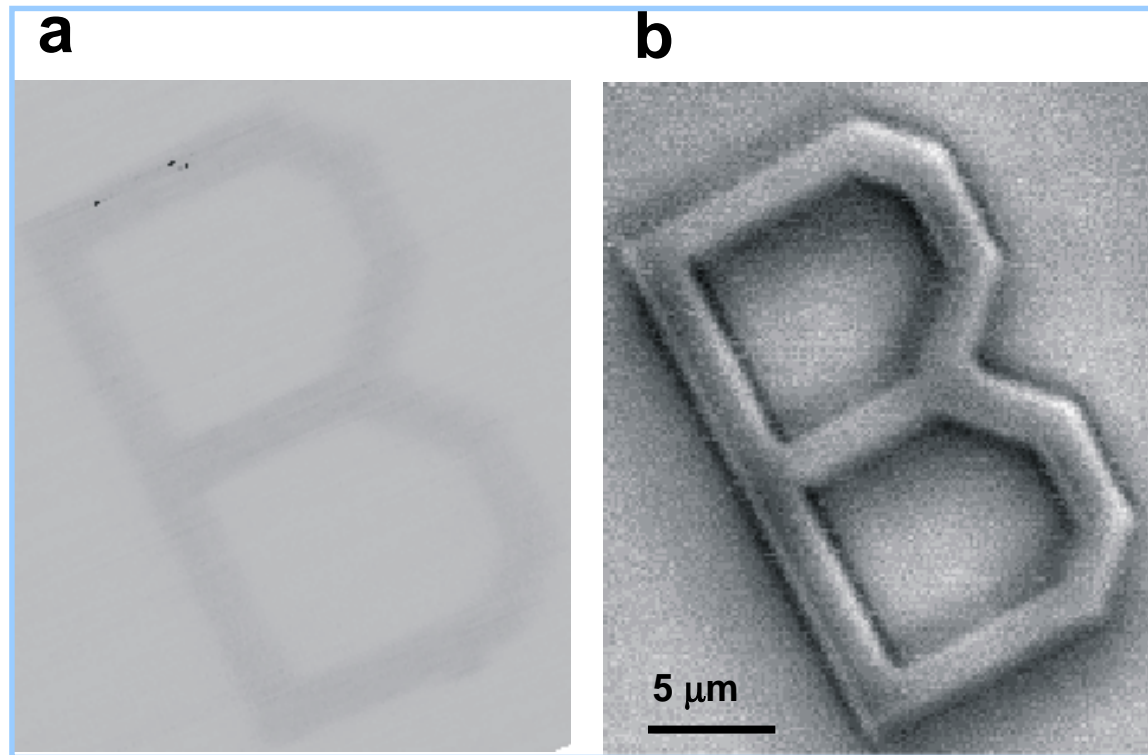
a: single ZP

b: ZPD generates interference pattern



line scan across image b

DIC with a scanning X-ray microscope



2 μm thick PMMA test object. Images taken with the STXM at ID21 at ESRF.

a: bright field

pixel size 100 nm, field of view 20 μm

b: X-DIC with ZPD

$\lambda = 0.31$ nm, dwell time 50 ms / pixel

Multi-spot ZPs for DIC

PDEs for X-DIC

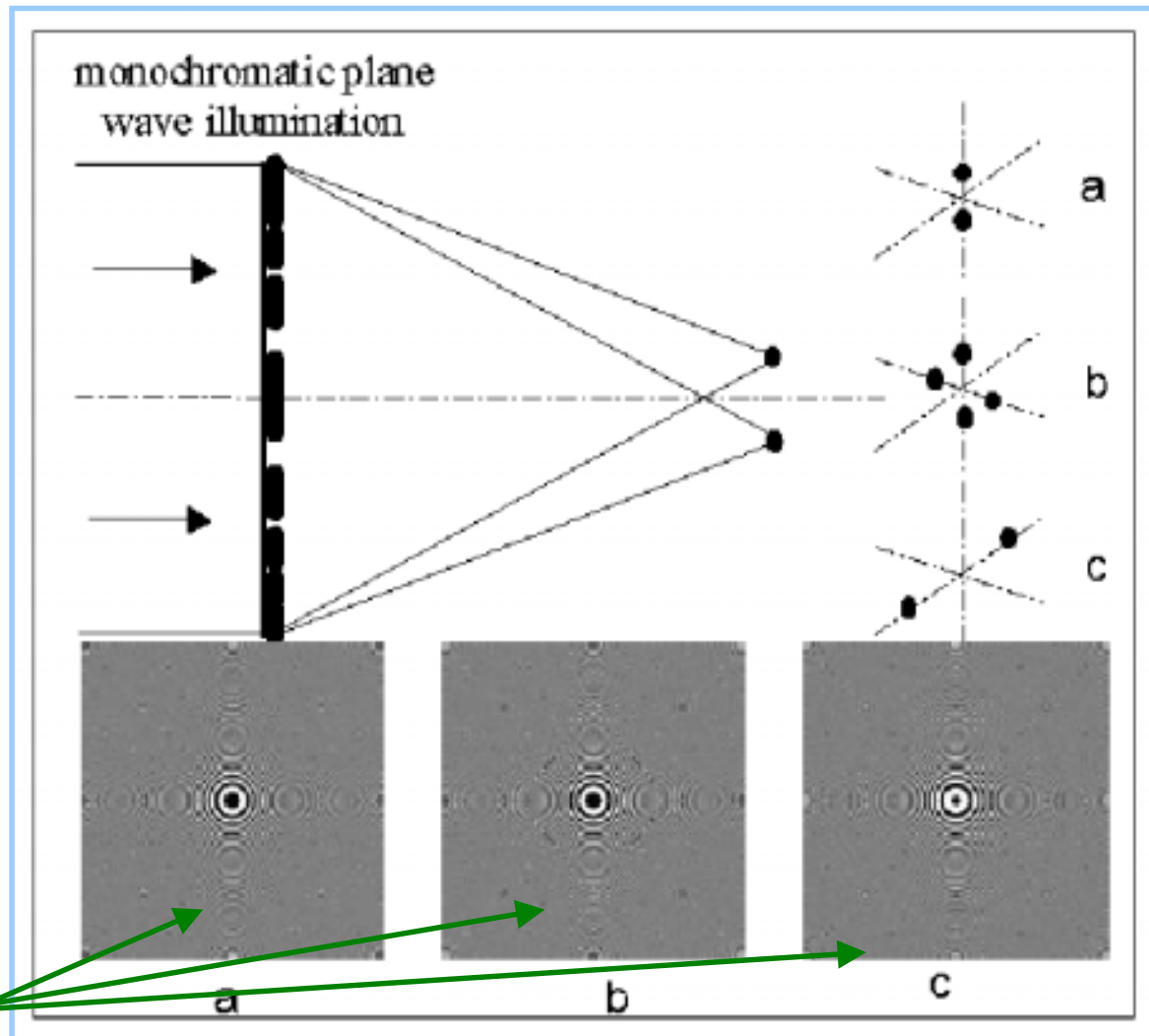
a) two spots in focal plane,
separation 200 nm

b) four spots in focal plane,
separation 200 nm

c) two spots along optical axis,
separation 1 mm

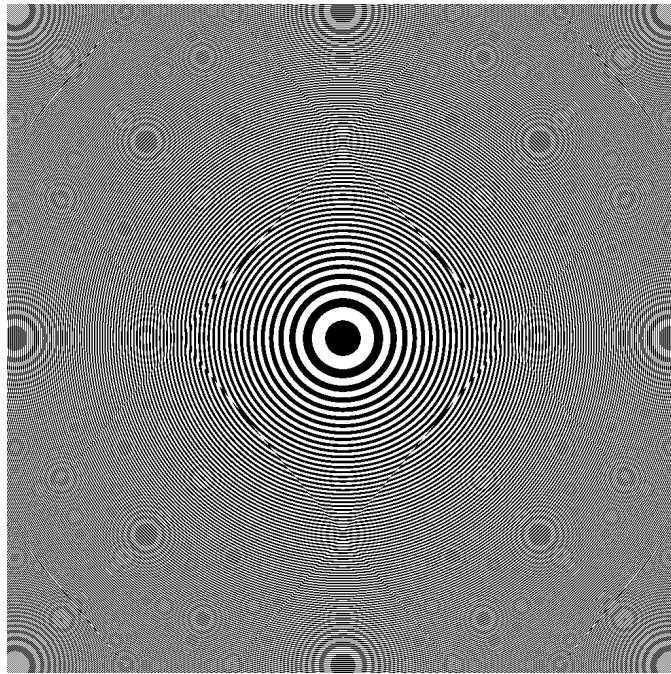
$f = 5 \text{ mm}$ @ $\lambda = 0.31 \text{ nm}$

calculated zone plate patterns

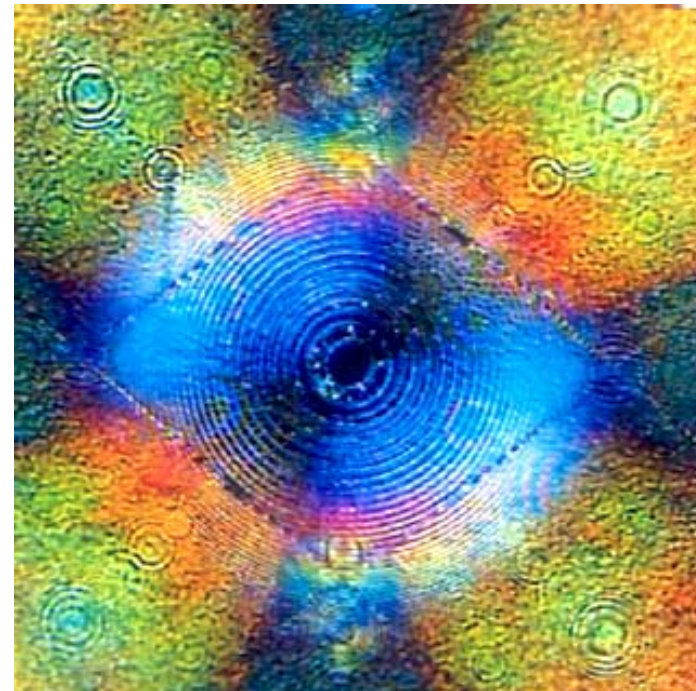


Multi-spot ZPs for DIC

Development of single, multi-spot zone plates by reconstruction of the hologram of a plane wave and several spherical waves (Lilit)

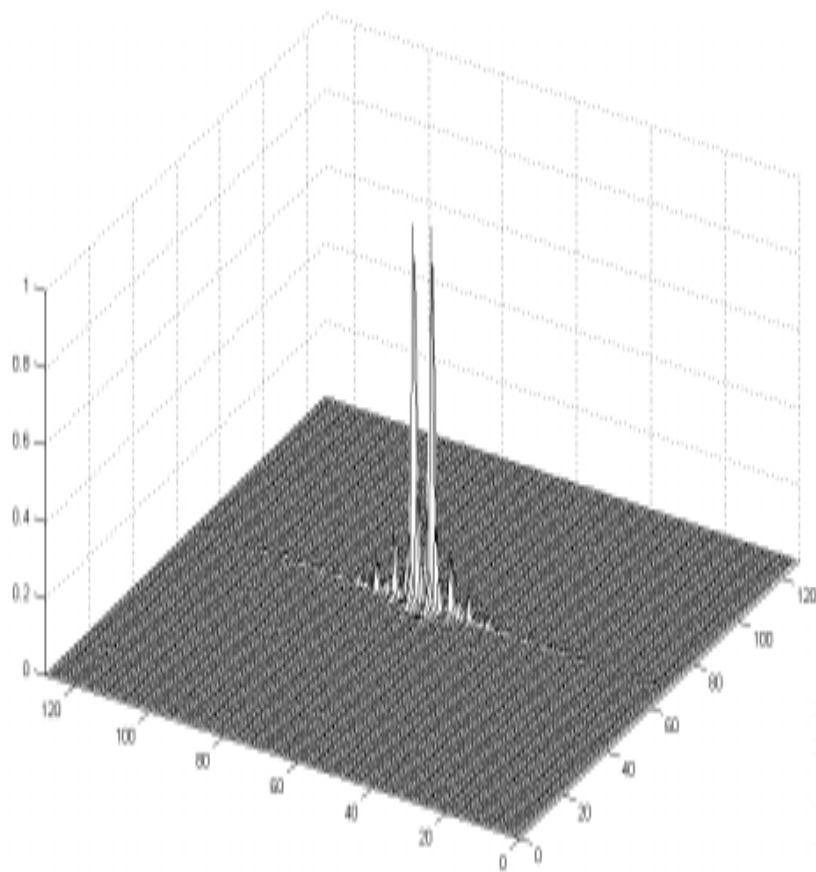


Calculated pattern of a
4 spot ZP

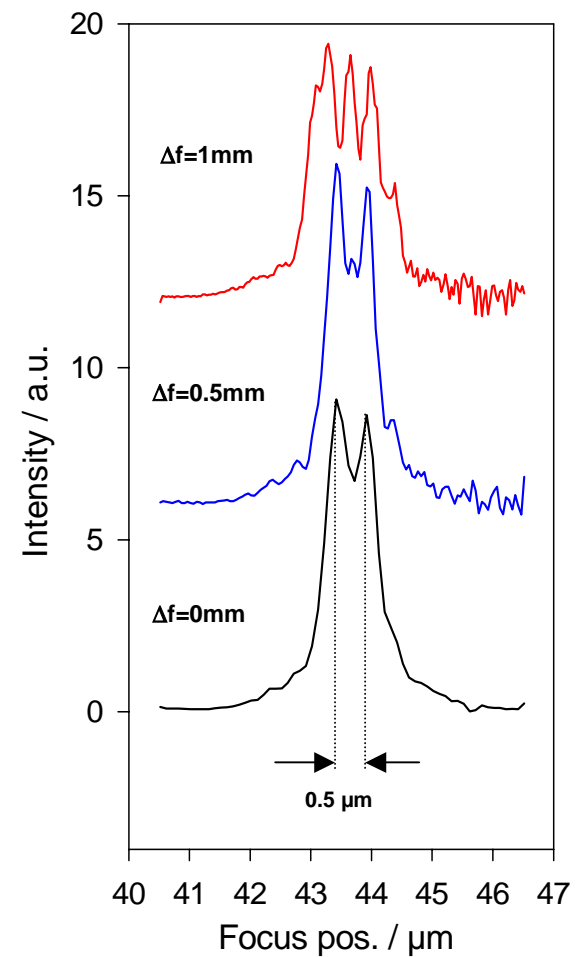
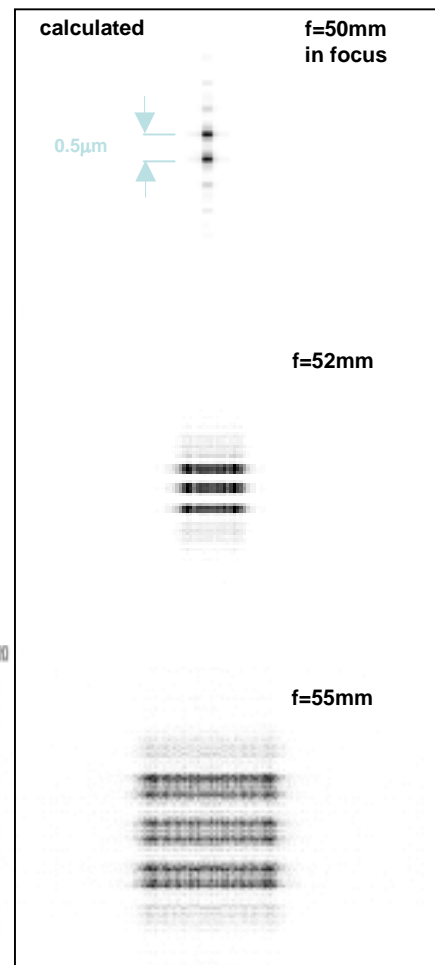


DIC visible light micrograph
of 2-spot ZP

Multi-spot ZPs for DIC



Simulation of 2-spot zone plate
in / out focal plane



DIC with multi-spot ZPs (TXM)

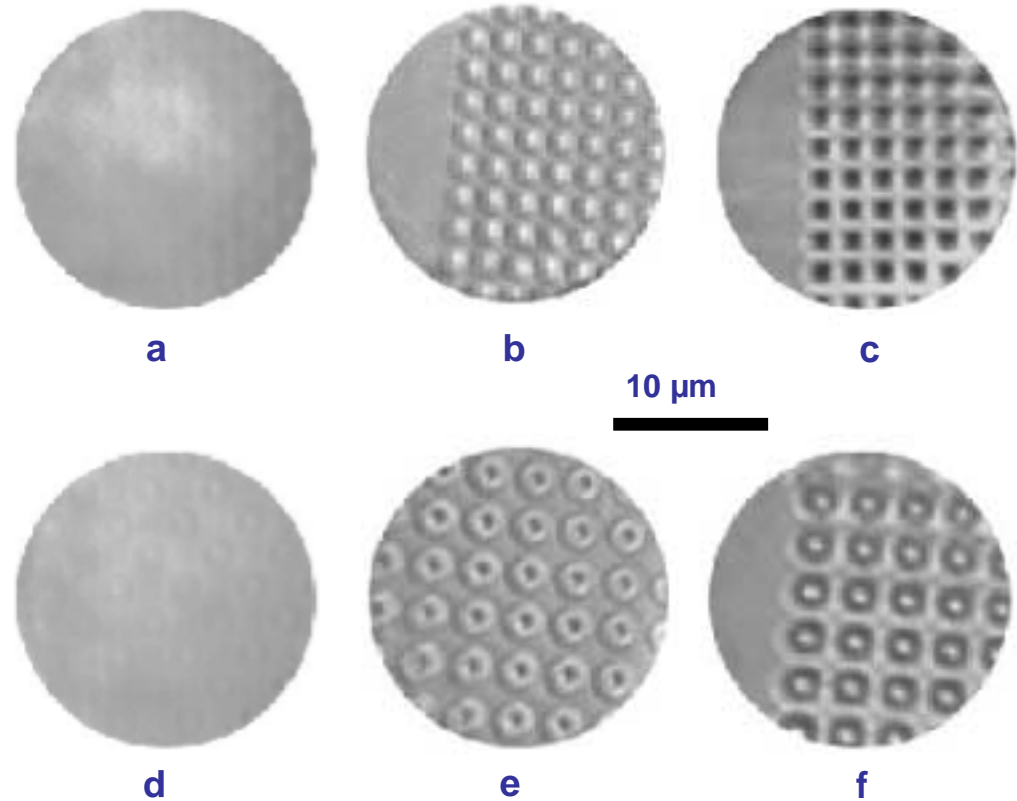
X-ray images of 1 μm thick
PMMA test objects

a, d: single zone plate

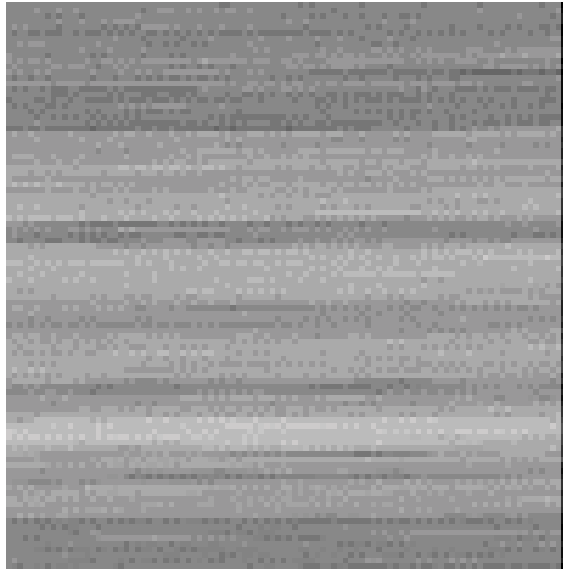
b, e: two confocal spots

c, f: two coaxial spots

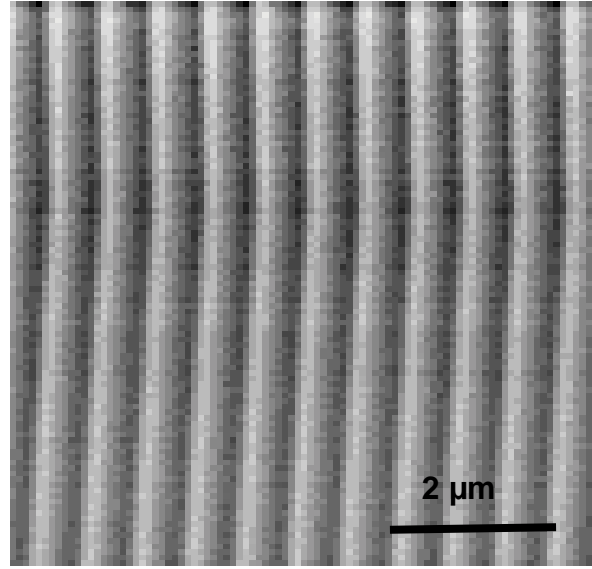
ID21, TXM, $\lambda = 0.31 \text{ nm}$



DIC with multi-spot ZPs (STXM)



Brightfield (BF)

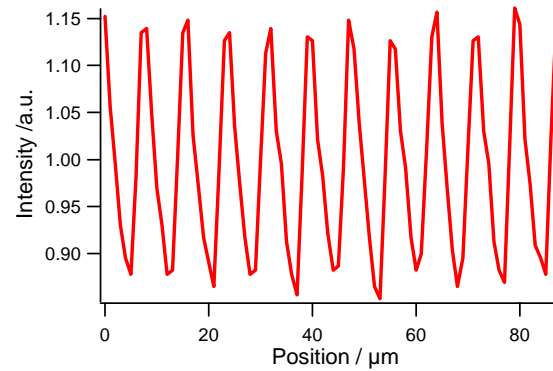
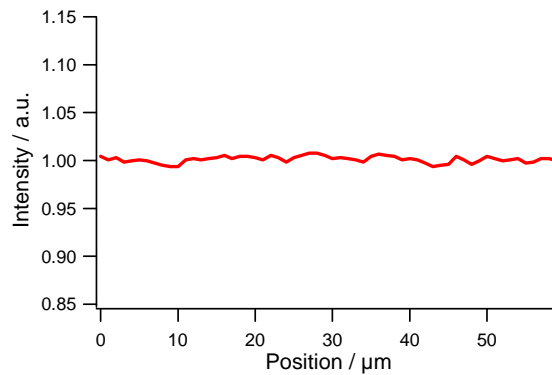


DIC

2 μm thick
grating structures
in PMMA

4 keV

200 x 200 px
40 ms/px dwell

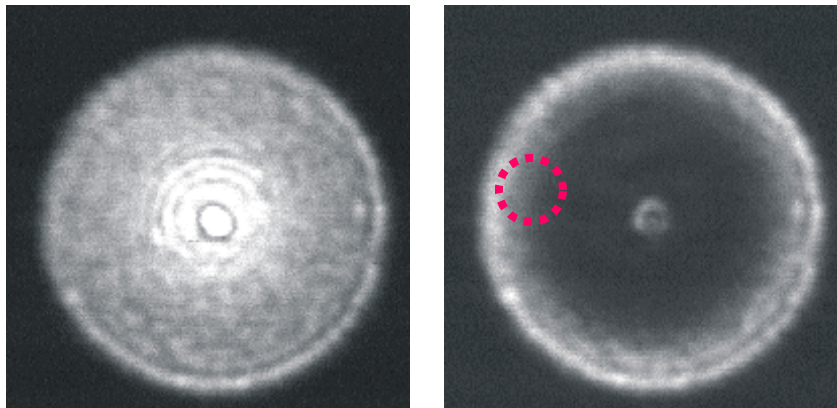
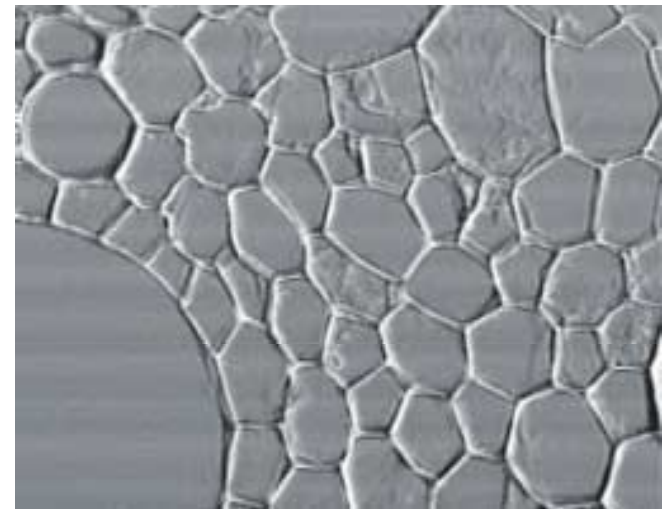
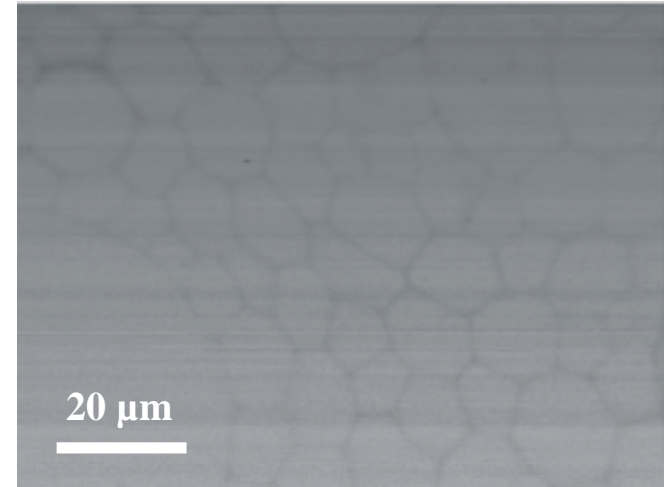
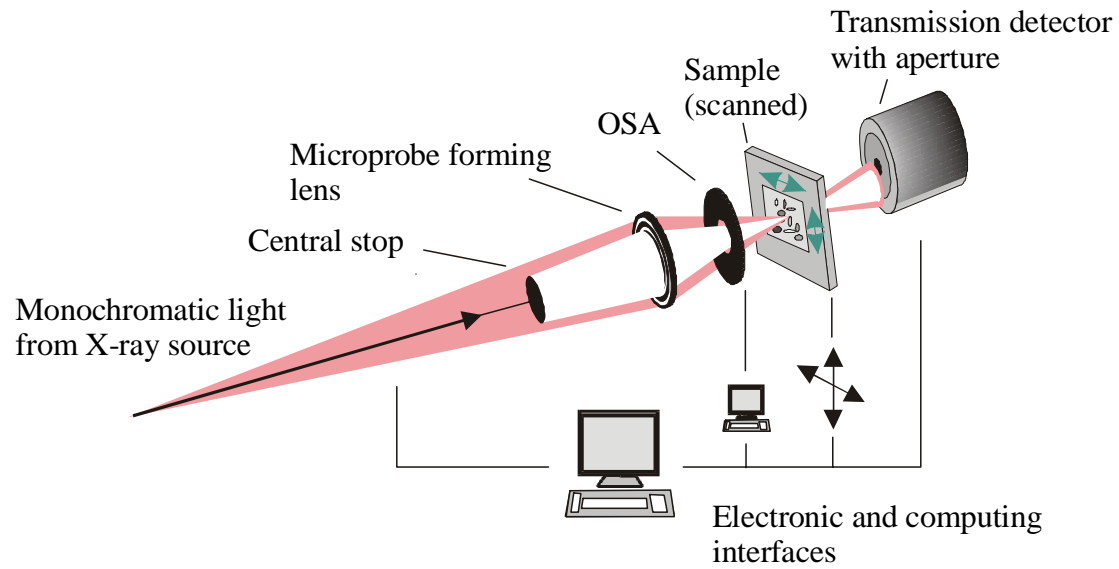


Contrast:

BF: 1 %

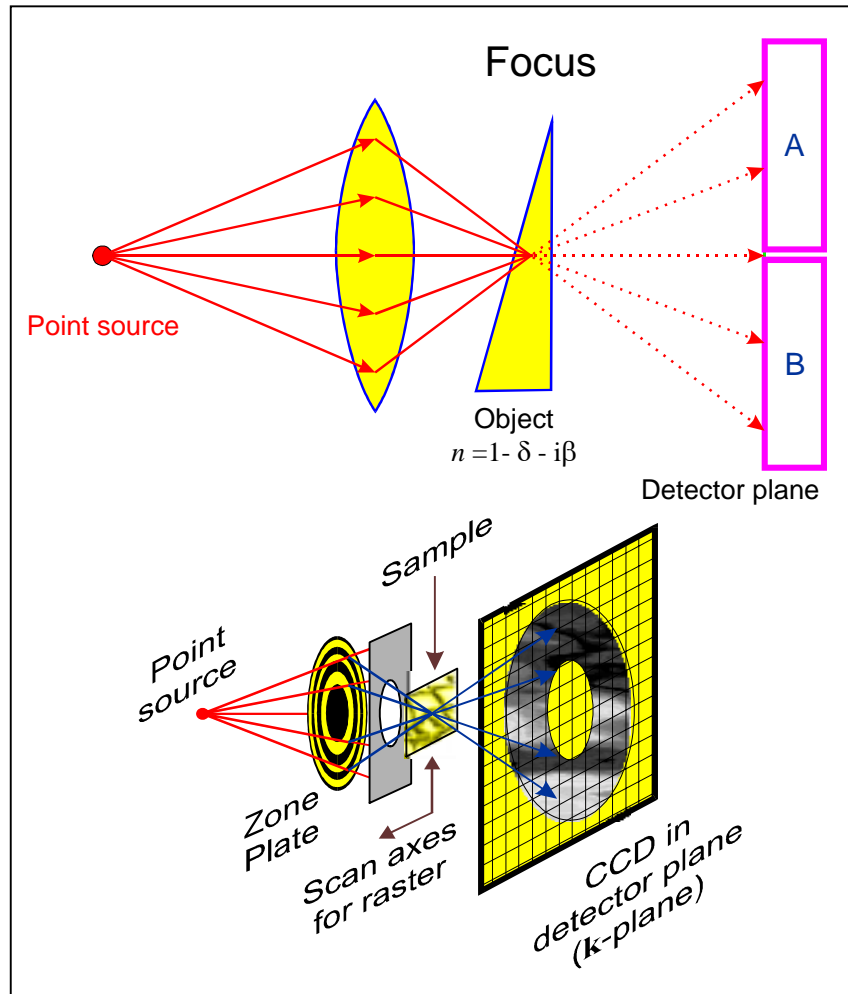
DIC: 25 %

Diffraction aperture based differential phase contrast

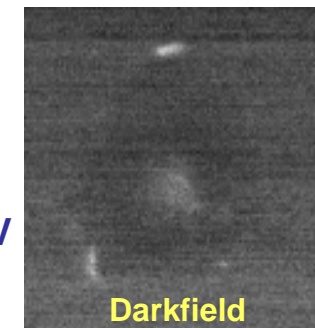
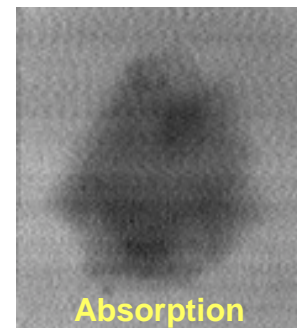
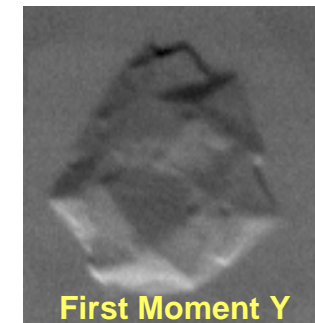
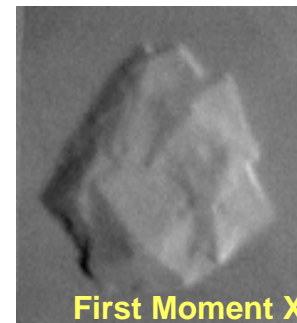


200 μm

Principle: Differential phase contrast



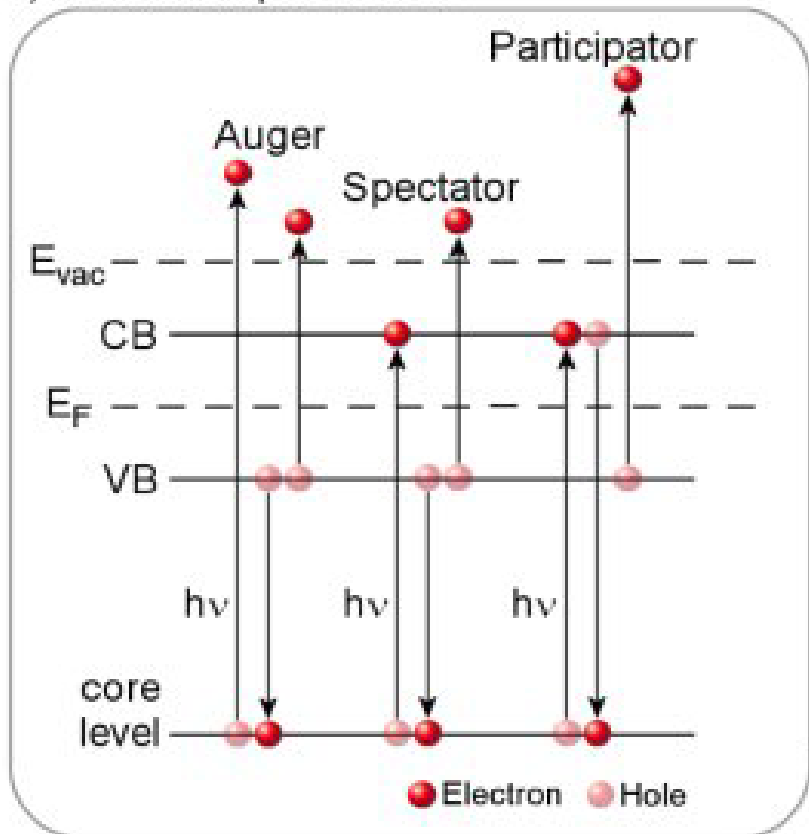
- The detector can be split into several elements
- The sum signal gives the incoherent bright-field signal
- Anti-symmetric signal combinations relate to the *phase gradient* of the object transmittance.



10 μm

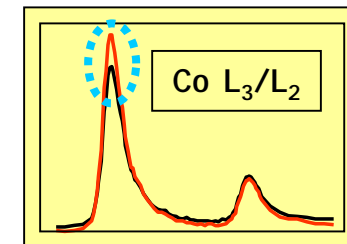
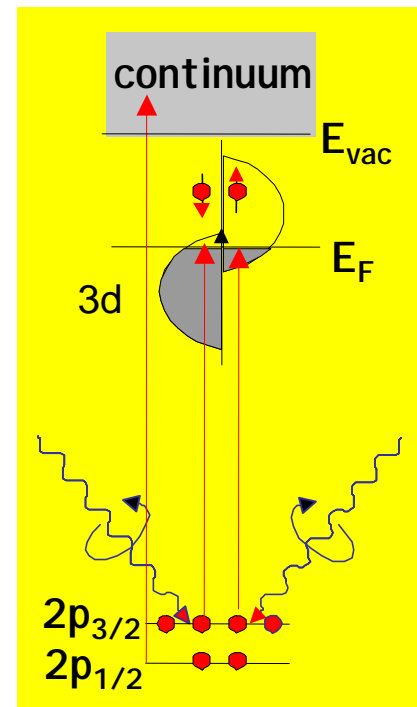
3.3 keV

Chemical/ Magnetic contrast



$$I \propto \exp(-\mu d) , \quad \mu \propto \frac{Z^2}{(h\nu)^3}$$

XANES = X-ray Absorption Near Edge Spectroscopy



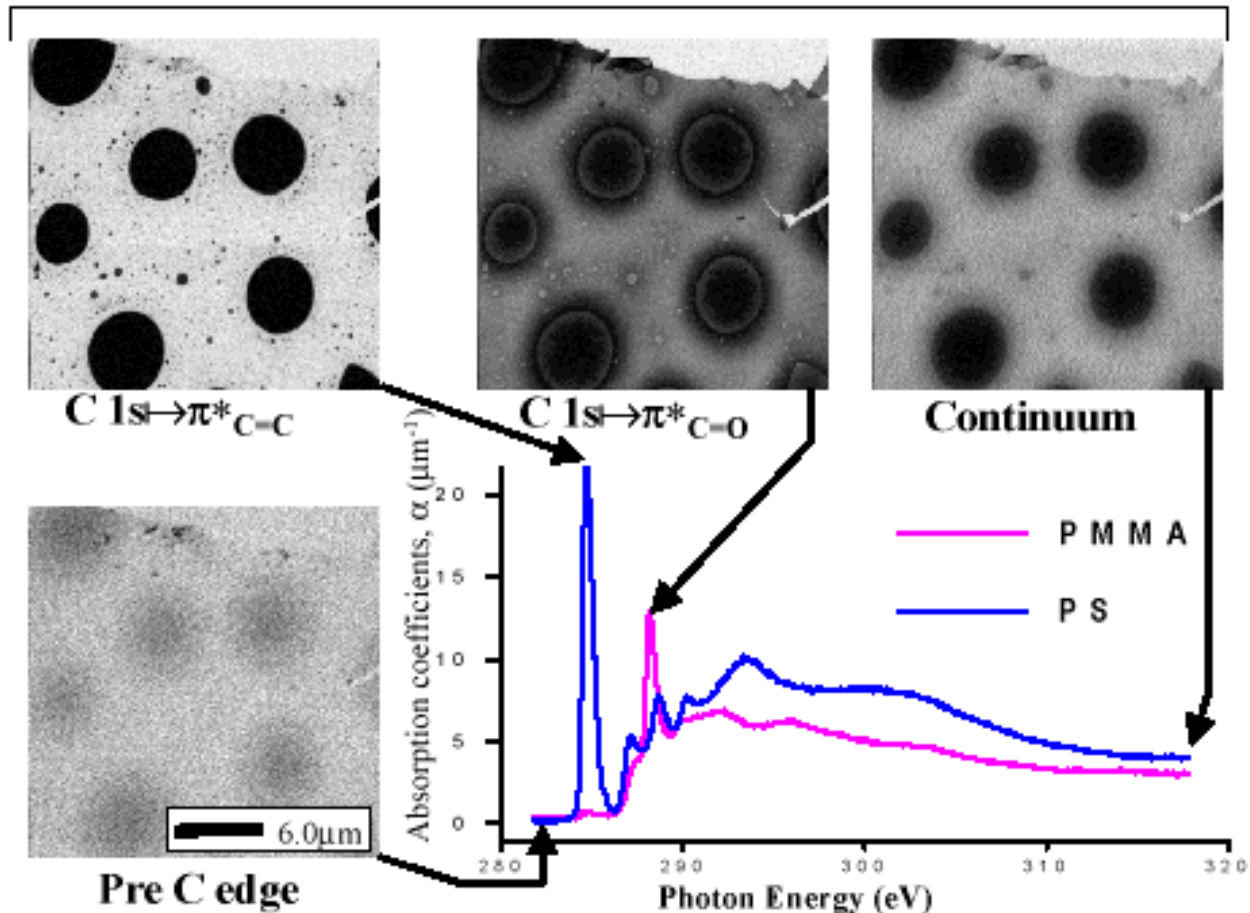
Resonances with unfilled states.

XANES:
tuning on
molecular orbitals
XMLD: imaging
antiferromagnets,
XMCD: imaging
ferromagnets

Chemical contrast

Outlining the lateral distribution of PS/ PMMA

Transmission x-ray micrographs



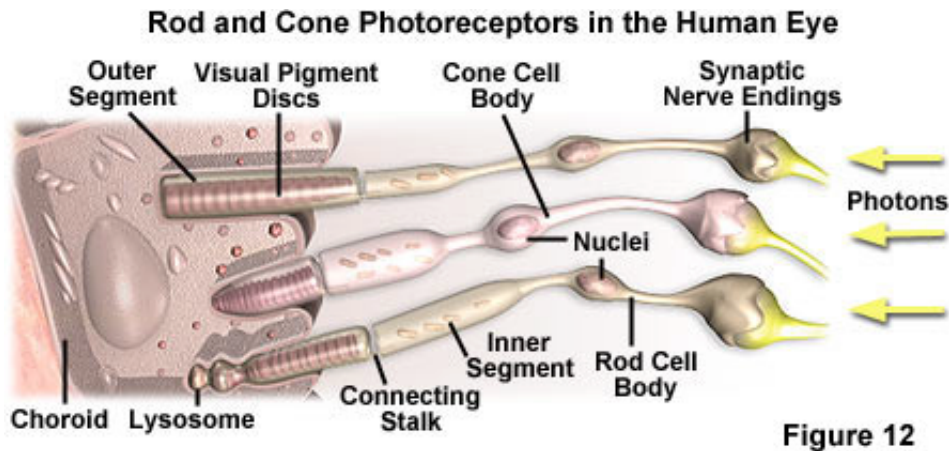
H. Ade, SUNY-SB STXM at the NSLS

Detector technologies for X-ray microscopy

- **Basic properties**
 - **Analog detectors**
 - **Digital detectors (CCD, CMOS, photo diode, photo multiplier, drift detectors)**
 - **Choosing the right detector**
-

Human eye vs. electronic detectors

How does the human eye compare with electronic detectors?



Scientific-grade camera:

- lower spatial resolution
- much higher quantum efficiency
- greater integration capability
- more uniformity
- better intrascene dynamic range
- comparable or higher signal/noise
- sensitive to X-rays

- Peak sensitivity is in the green (500 – 560 nm)
- Maximum quantum efficiency is 3 – 10 %
- Non-uniform spatial resolution due to not evenly distribution of cones
- Distance of cones > 1.5 μm , thus 5 – 6 μm on the retina
- Under achromatic illumination the dynamic is 50x (6 bits)
- Minimum detectable signal is about 100-150 photons at the pupil or 10 -15 ph at the retina
- Signal/noise limit is about 3:1

Basics: Quantum efficiency

For a detector, the ratio of induced current to incident flux. Often measured in electrons per photon (dimensionless) or amps/watt.

Mean energy to generate an electron-hole pair in Si-based detectors:

$$E = 3.7 \text{ eV}$$

Mean number of electrons per incident photon:

$$n_{\max} = \frac{h\nu}{3.7\text{eV}}$$

Energy related quantum efficiency (QY) is the ratio of measured electrons per incident photon to maximum electrons per incident photon

$$QY = \frac{n_{\text{det}}}{n_{\max}} = \frac{n_{\text{det}} \cdot 3.7\text{eV}}{h\nu}$$

Basics: CCD dynamic range

The dynamic range (DR) of a CCD is typically specified as the maximum achievable signal divided by the camera noise, where the signal strength is determined by the full-well capacity and noise is the sum of dark and read noises

Full well capacity N_{sat} : The number of electrons that each pixel of a charge-coupled device can hold without overflowing and causing blooming.

N_{noise} : The total value of the read and dark noise

$$DR = 20 \cdot \text{Log}\left(\frac{N_{sat}}{N_{Noise}}\right)$$

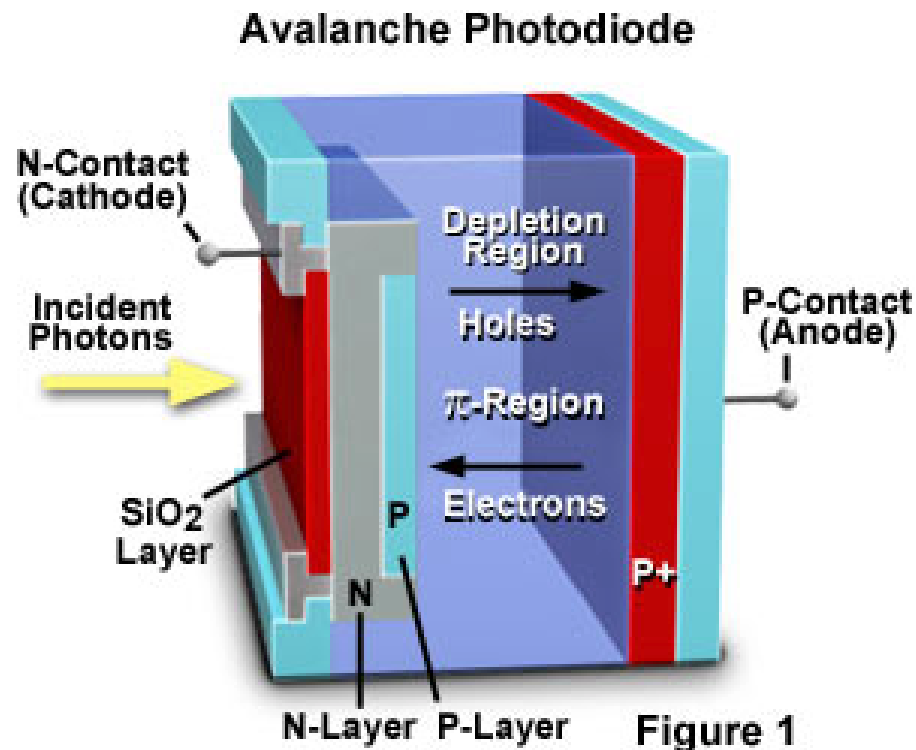
or

$$DR = \frac{N_{sat}}{N_{Noise}} \approx \frac{1000 \cdot d_{ph}}{N_{Noise}}$$

Example: CCD with $6.7\mu\text{m}$ pixel size $\Rightarrow N_{sat} = 44900 \text{ e/px}$
Read noise of $N_{Noise} = 500 \text{ e/px}$
 $\Rightarrow DR = 90$ or 39db

Scientific-grade CCDs: DR = 50000 or 94db

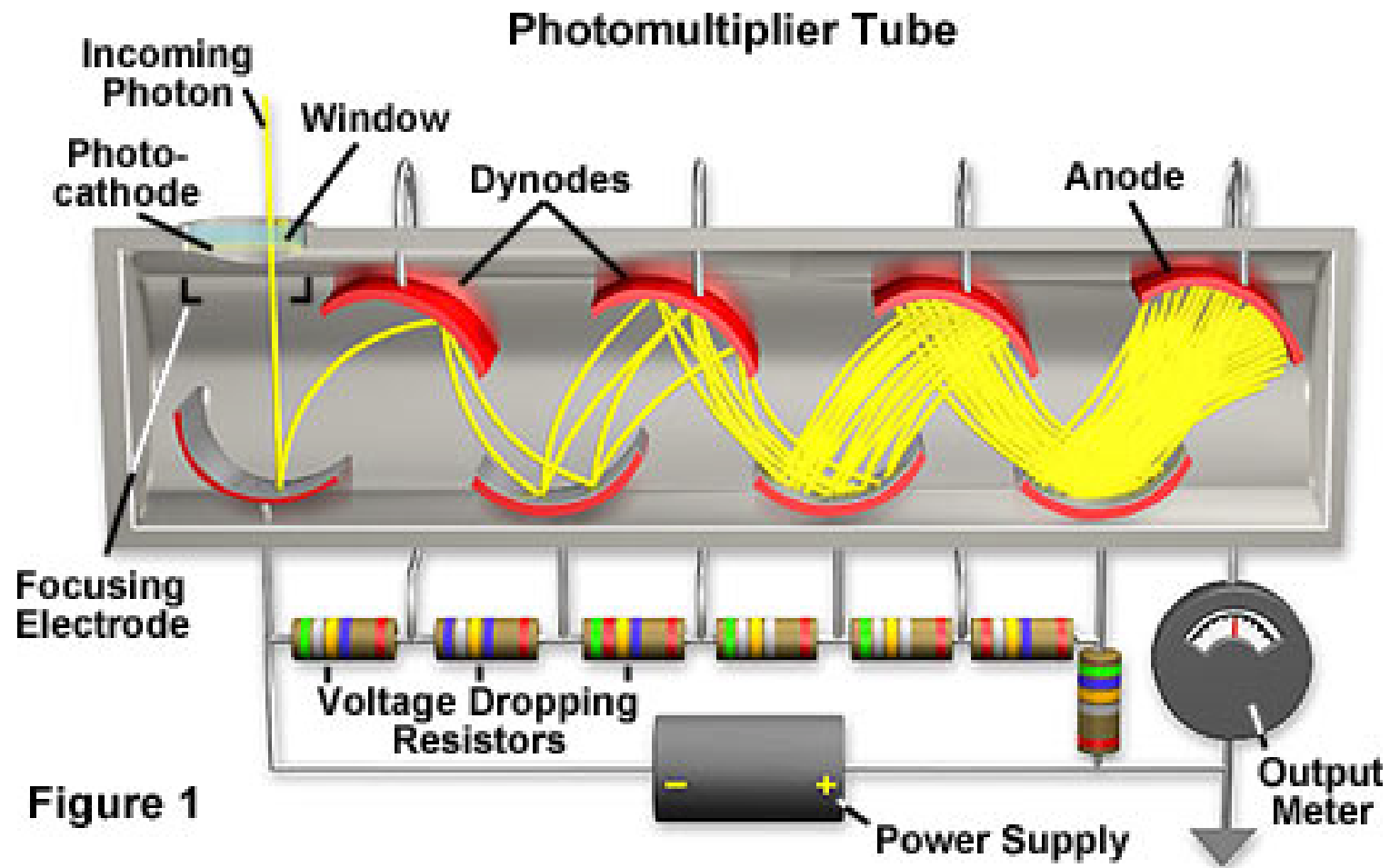
Detectors: Avalanche photodiode



Silicon-based semiconductor containing a positively doped p-region and a negatively doped n-region sandwiching an area of neutral charge termed depletion zone

- Generation of electron-hole pairs from an energetic electron that creates an “avalanche” of electrons in the substrate (high bias voltage)
- Design is similar to p-i-n diodes, however the depletion layer is relatively thin
- Compact and immun to magnetic fields, require low currents, are difficult to overload
- High quantum efficiency up to 90%

Detectors: Photomultipliers



Detectors: Charge coupled devices (CCDs)

Anatomy of a Charge Coupled Device (CCD)

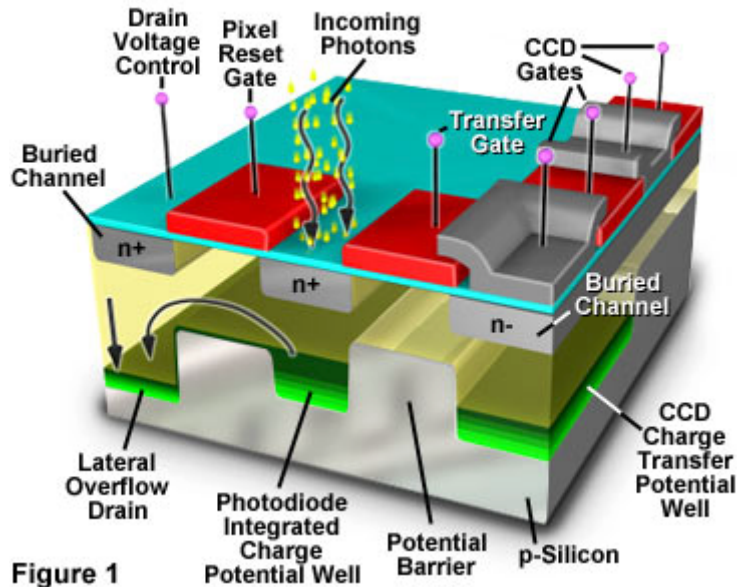


Figure 1

Silicon-based integrated circuits consisting of a dense matrix of photodiodes that operate by converting light energy (photons) into electric charge that are stored in potential wells and are subsequently transferred across registers and output to an amplifier

- Invented in the late 60's at Bell Labs
- Initially conceived as idea for new type of memory circuit for computers
- Leading candidate for all-purpose imaging detector

CCD Photodiode Array Integrated Circuit

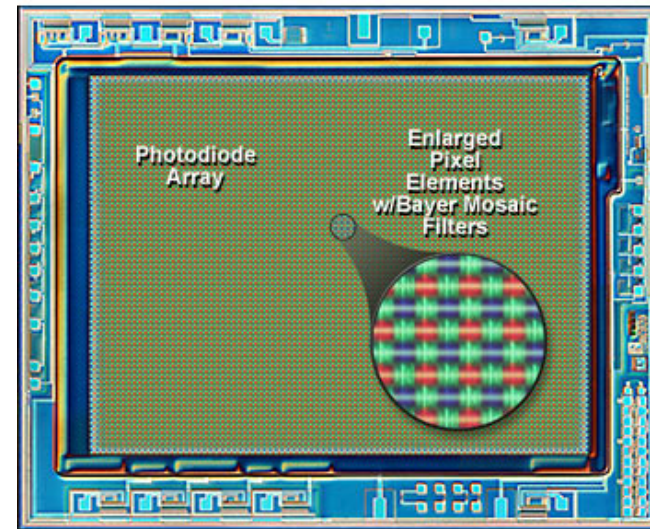


Figure 2

Detectors: Charge coupled devices (CCDs)

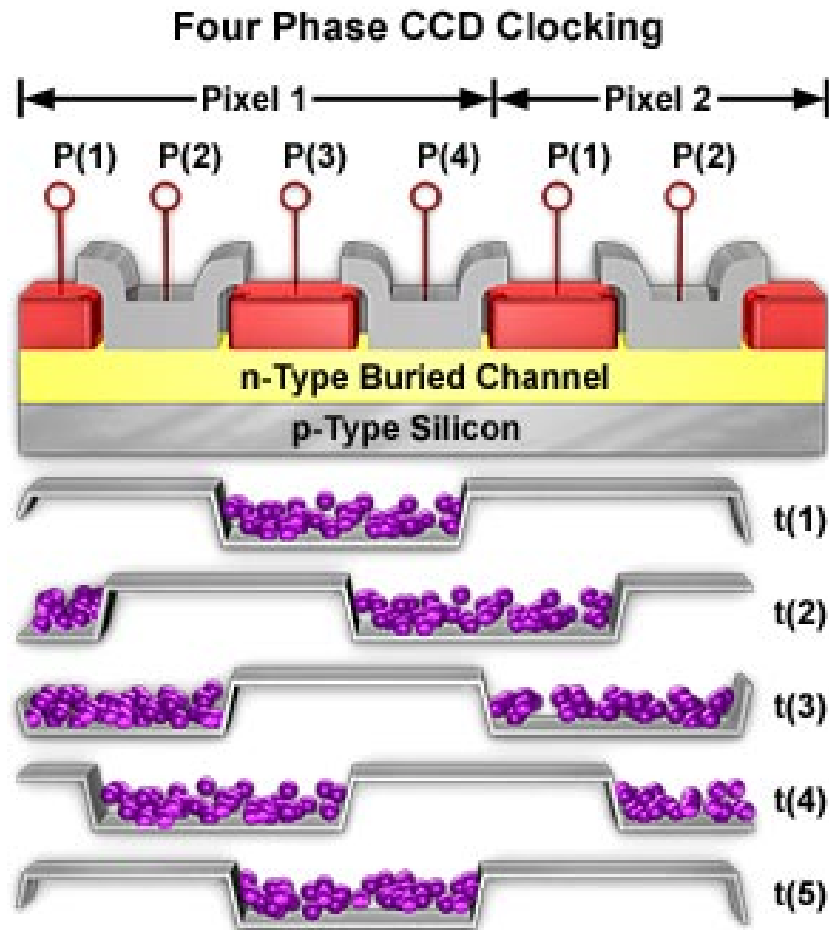


Figure 1

PIXEL = PHOTODIODE

Silicon-based integrated circuits consisting of a dense matrix of photodiodes that operate by converting light energy (photons) into electric charge that are stored in potential wells and are subsequently transferred across registers and output to an amplifier

t(1): Voltage at gate P(1) and P(2) low, P(3) and P(4) held high

t(2): P(1) and P(3) change polarity

t(3): P(2) on both pixels switches from low to high, P(4) on pixel 1 switches from high to low

t(4): One cycle of charge transfer completed

Detectors: MOS capacitor

Metal Oxide Semiconductor (MOS) Capacitor

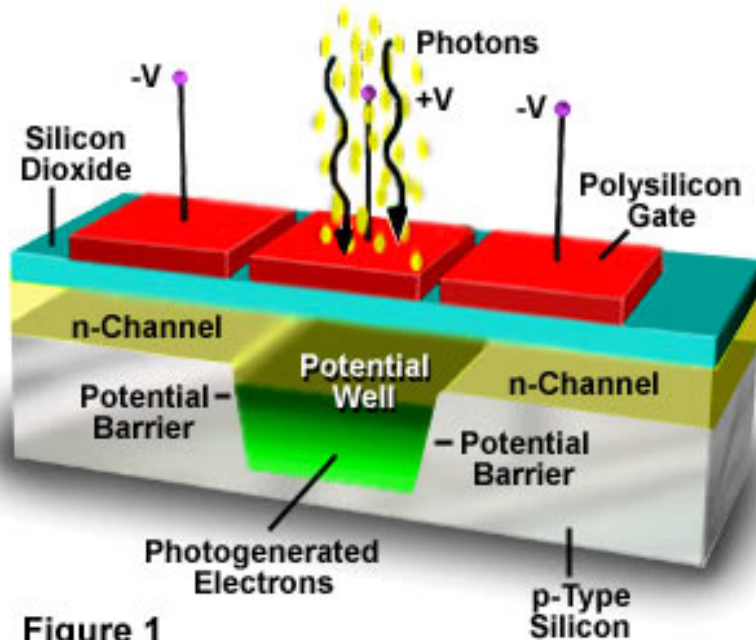


Figure 1

Application of voltage will flatten the electrostatic potential curve at the peak

At the heart of all CCDs is the light sensitive *metal oxide semiconductor (MOS) capacitor*

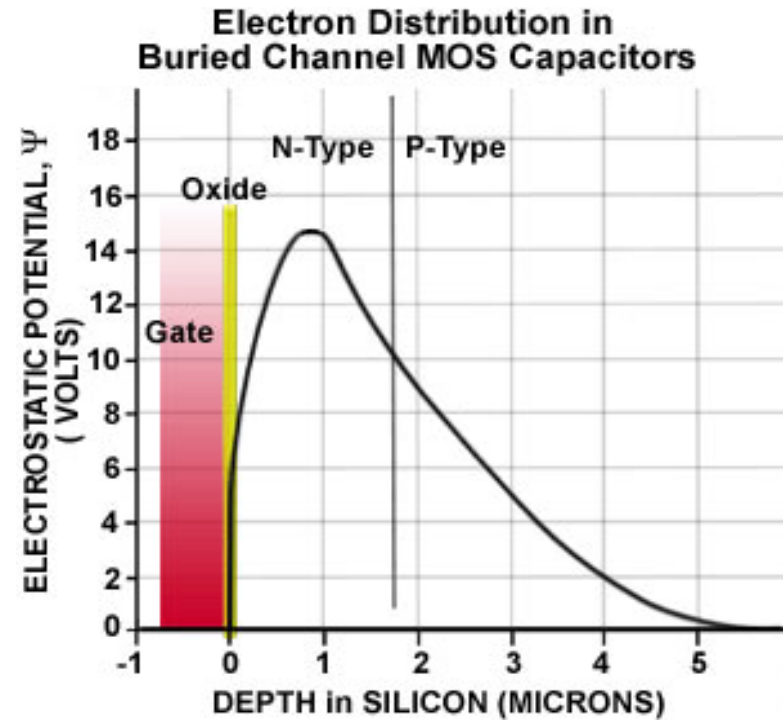


Figure 2

Detectors: CMOS technology

Complementary Metal Oxide Semiconductor

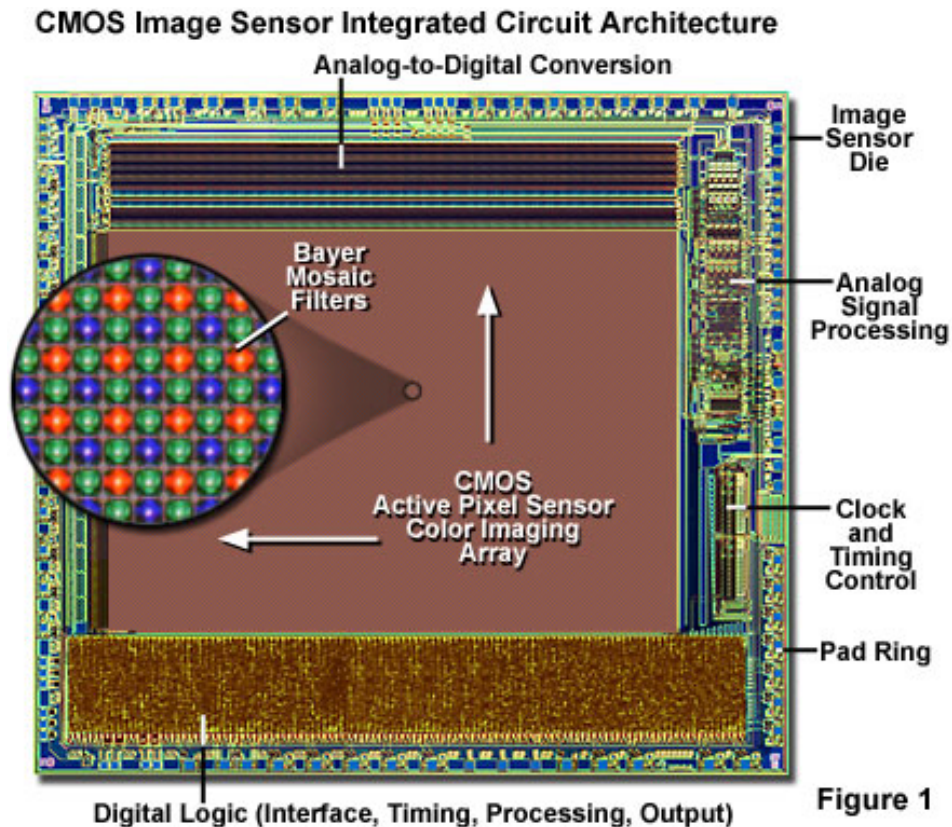


Figure 1

Light sensing similar to CCDs (photo-electric effect)

- Lower power consumption
- Smaller pixel sizes
- Reduced noise
- More capable on-board image processing algorithms
- Larger imaging arrays

Fillfactor: 30 – 80 % of pixel area

Bayer Color Filter Mosaic Array and Underlying Photodiodes

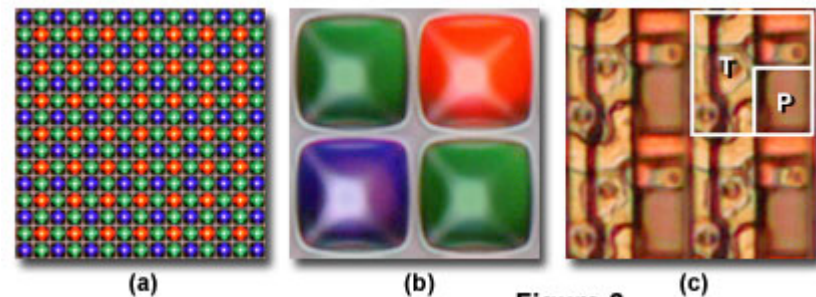
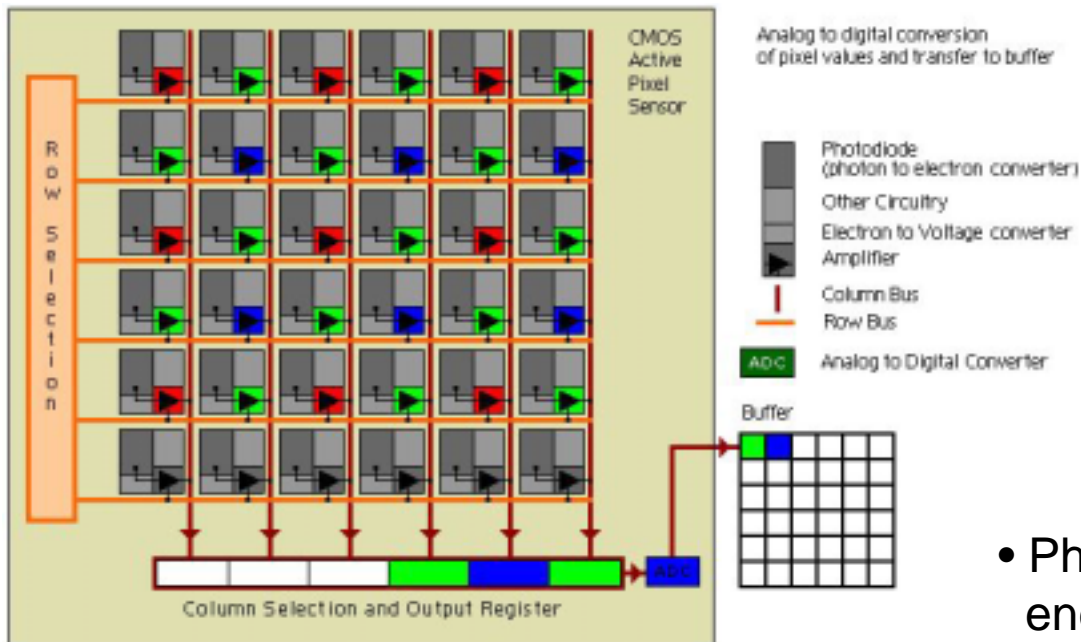


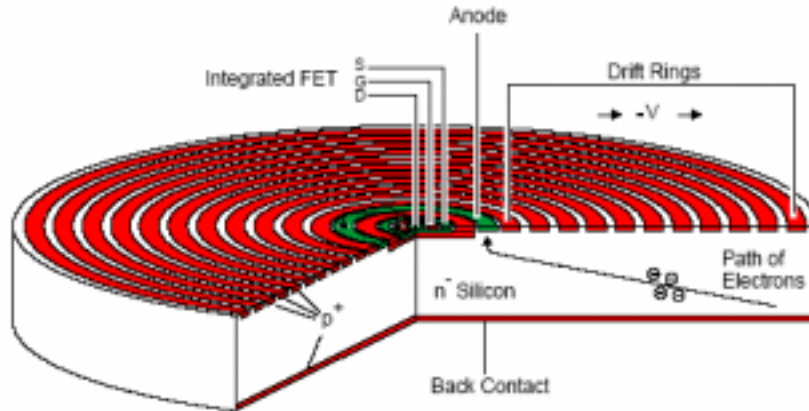
Figure 2

Detectors: CMOS technology



- Photodiode convert energy into electrical discharge
- Electrical discharge is converted amplified into voltage
- Pixel values are sequenced (multiplexed) and processed by the ADC
- Pixel values are buffered

Energy dispersive detectors: SDDs

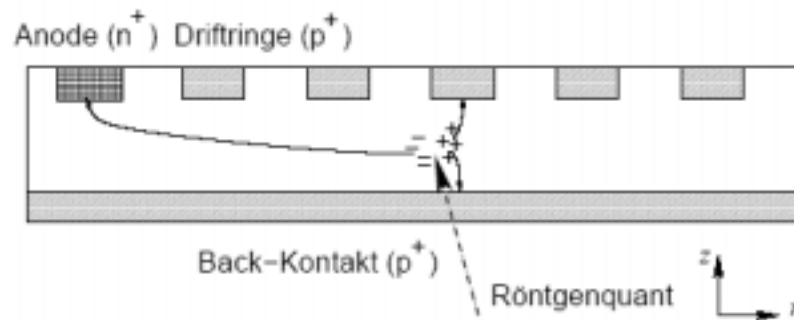


- Principle of sideward depletion
- Electric field transports e⁻ to the anode with integrated FET

Energy dispersion:

$$n_{\max} = \frac{h\nu}{3.7eV}$$

Number of electrons is counted



References

- J. Kirz, C. Jacobsen, and M. Howells, "Soft X-ray microscopes and their biological applications" Q. Rev. Biophys. 28(1), 33-130 (1995)
- D. Attwood "*Soft X-rays and Extreme Ultraviolet Radiation*", Cambridge Press, Cambridge, UK (1999)
- G. Schmahl et al., "Phase contrast studies of Hydrated Specimens with the X-ray microscope at BESSY, in: Aristov et al. (eds.), X-ray microscopy IV, Bogorodski Pechatnik Publishing, Chernologovka, Moscow Region (1994)
- G. Schneide, "*X-ray microscopy: methods and perspectives*", Anal. Bioanal. Chem. 376(5), 558-561 (2003)
- D. Weiss et al.: "*Tomographic imaging of biological specimens with the cryo transmission X-ray microscope*", Nucl. Instrum. Meth. A 476, 1308-1311 (2001)
- G. Schneider, "*Cryo X-ray microscopy with high spatial resolution in amplitude and phase contrast*", Ultramicroscopy 75(2), 85-104 (1998)
- W. Meyer-Ilse, T. Warwick, and D. Attwood (eds.), AIP Conf Proc **507** (1999)
- M. Feser et al.; "*Scanning transmission X-ray microscopy with a segmented detector*", J. Phys. IV 1 (2002)
- F. Polack, D. Joyeux, J. Svaloš, and D. Phalippou
"*Applications of wavefront division interferometers in soft x rays*", Rev.Sci. Instrum. **66**, 2180 (1995);
- T. Wilhein, B. Kaulich, and J. Susini
"*Two zone plate interference contrast microscopy at 4 keV photon energy*", Opt. Commun. **193**, 19-26 (2001)
- T. Wilhein, B. Kaulich, E. Di Fabrizio, S. Cabrini, F. Romanato, and J. Susini
"*Differential interference contrast X-ray microscopy with submicron resolution*"
Appl. Phys. Lett. **78**, 2079-2081 (2001)
- B. Kaulich, T. Wilhein, E. Di Fabrizio, F. Romanato, M. Altissimo, S. Cabrini, B. Fayard, J. Susini
"*Differential interference contrast x-ray microscopy with twin zone plates*", JOSA A **19** (4), 797-806 (2002)
-

Practical course:

1. Introduction to properties of digital images

Digital image formats, sampling and quantization, image resolution, Shannon's sampling theorem, color/ grayscale histograms

2. Digital image processing

Pre-processing evaluation of raw images, flat-field correction and background correction, digital image histogram adjustment, convolution kernels and filters for image processing, Fourier transforms
