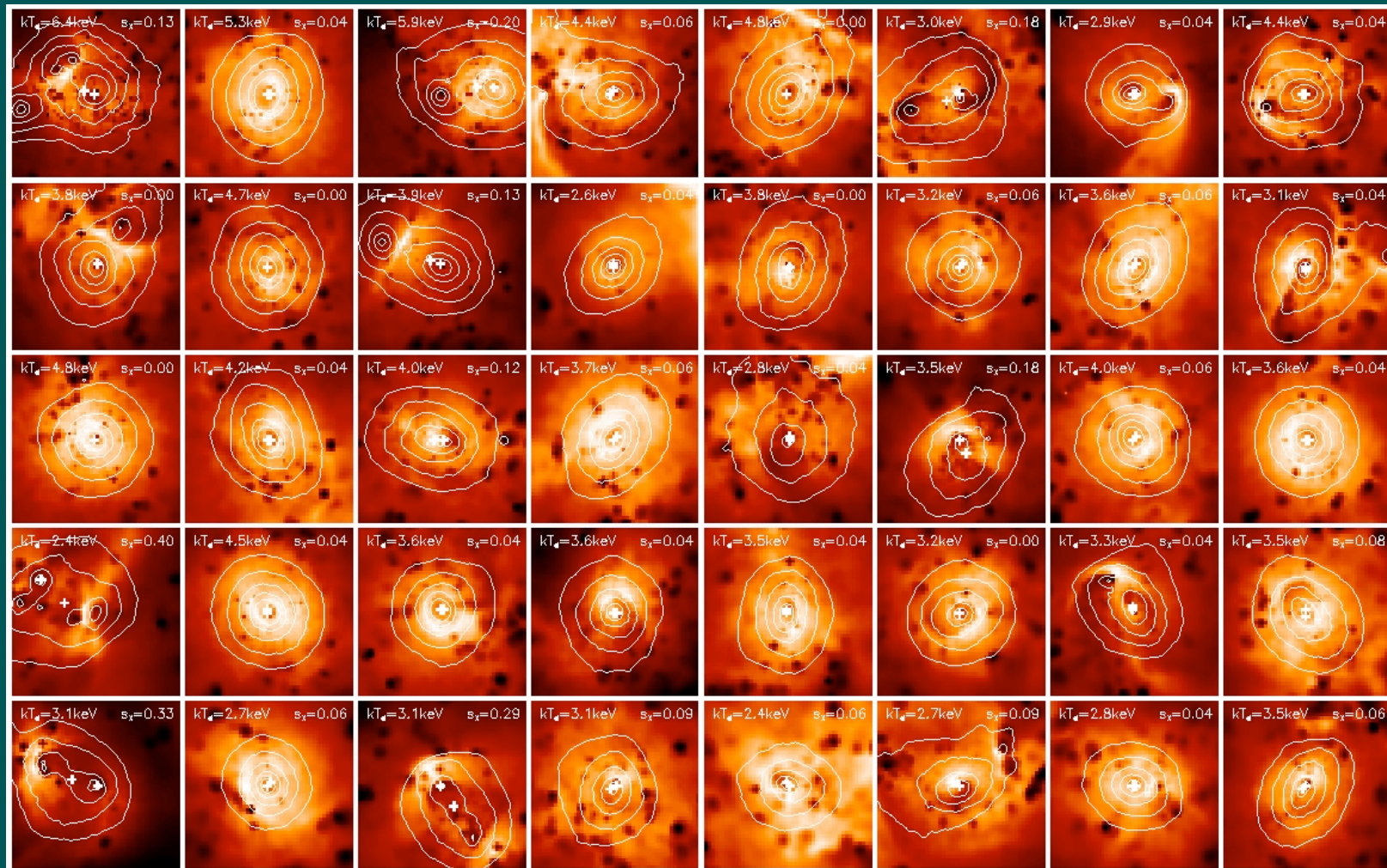


The formation and evolution of clusters



Peter Thomas
University of Sussex

Part 1: Simulated cluster catalogues



Evolution of cluster scaling relations

with
Scott Kay
Joy Muanwong
David Rowley

Evolution of cluster scaling relations

- Three different physical models:

- Radiative (no additional physics)

- Preheating (1.5 keV/particle at $z=4$)

- Feedback (10% probability of raising entropy of cooled gas by 1000 keV cm^2)

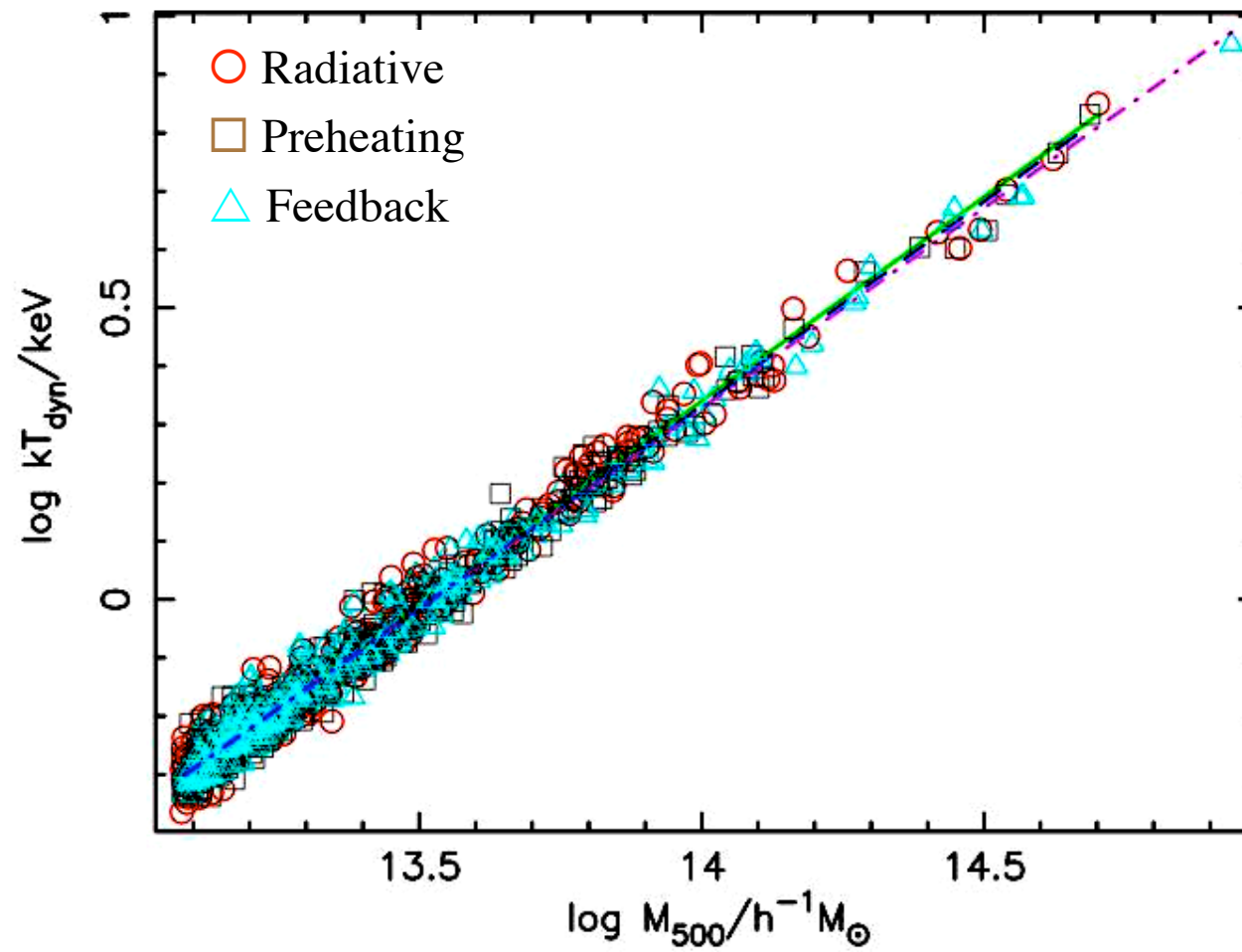
- $N_{\text{DM}} = N_{\text{gas}} = 160^3 - 256^3$

- $L = 100 - 120 h^{-1} \text{Mpc}$

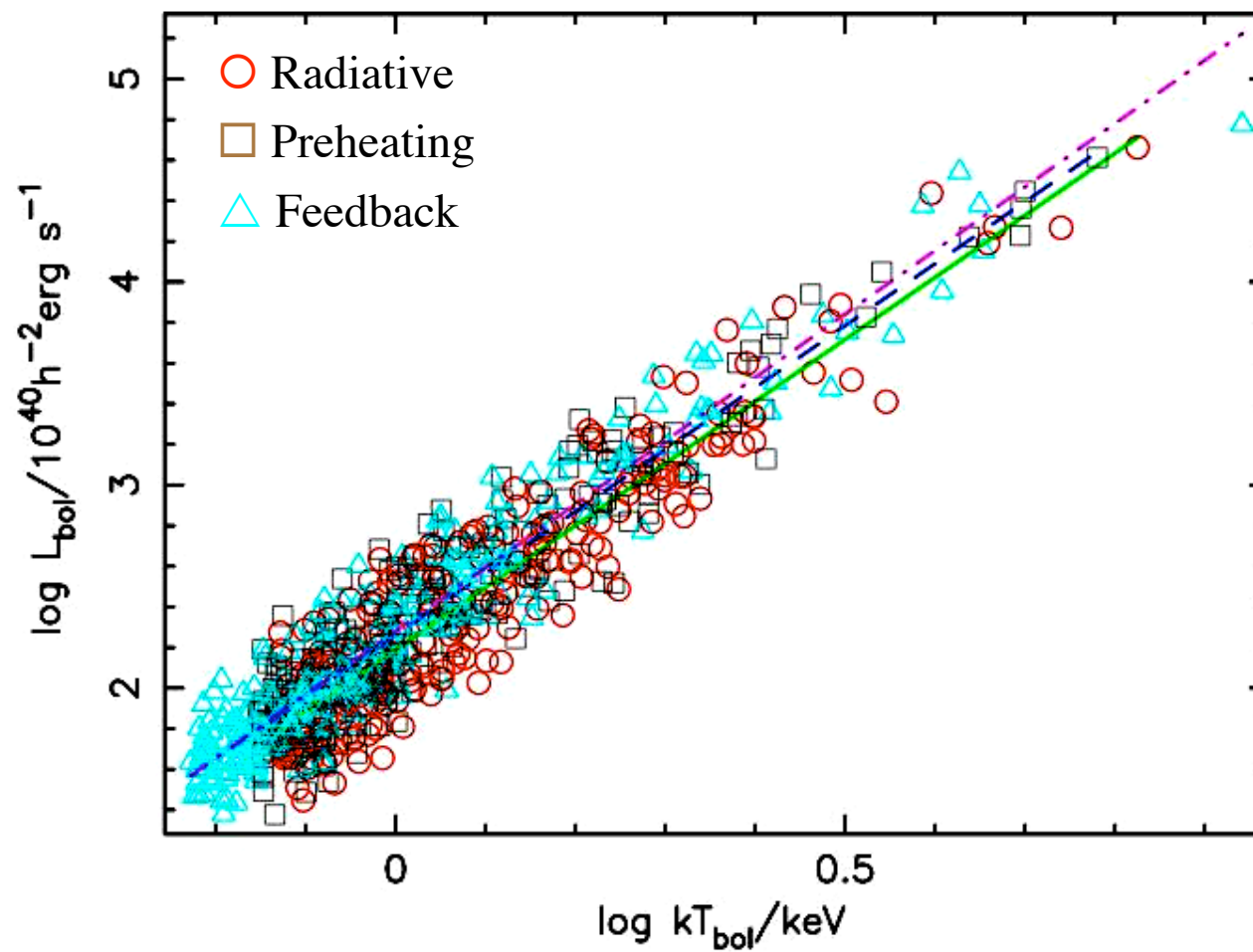
- $\Lambda\text{CDM}, \sigma_8 = 0.9$

- $M_{\text{DM}} = 0.7 - 2.1 \times 10^{10} h^{-1} M_{\odot}, M_{\text{gas}} = 1.3 - 2.6 \times 10^9 h^{-1} M_{\odot}$

Temperature - mass, $z=0$



Luminosity - temperature, $z=0$



Scaling relations

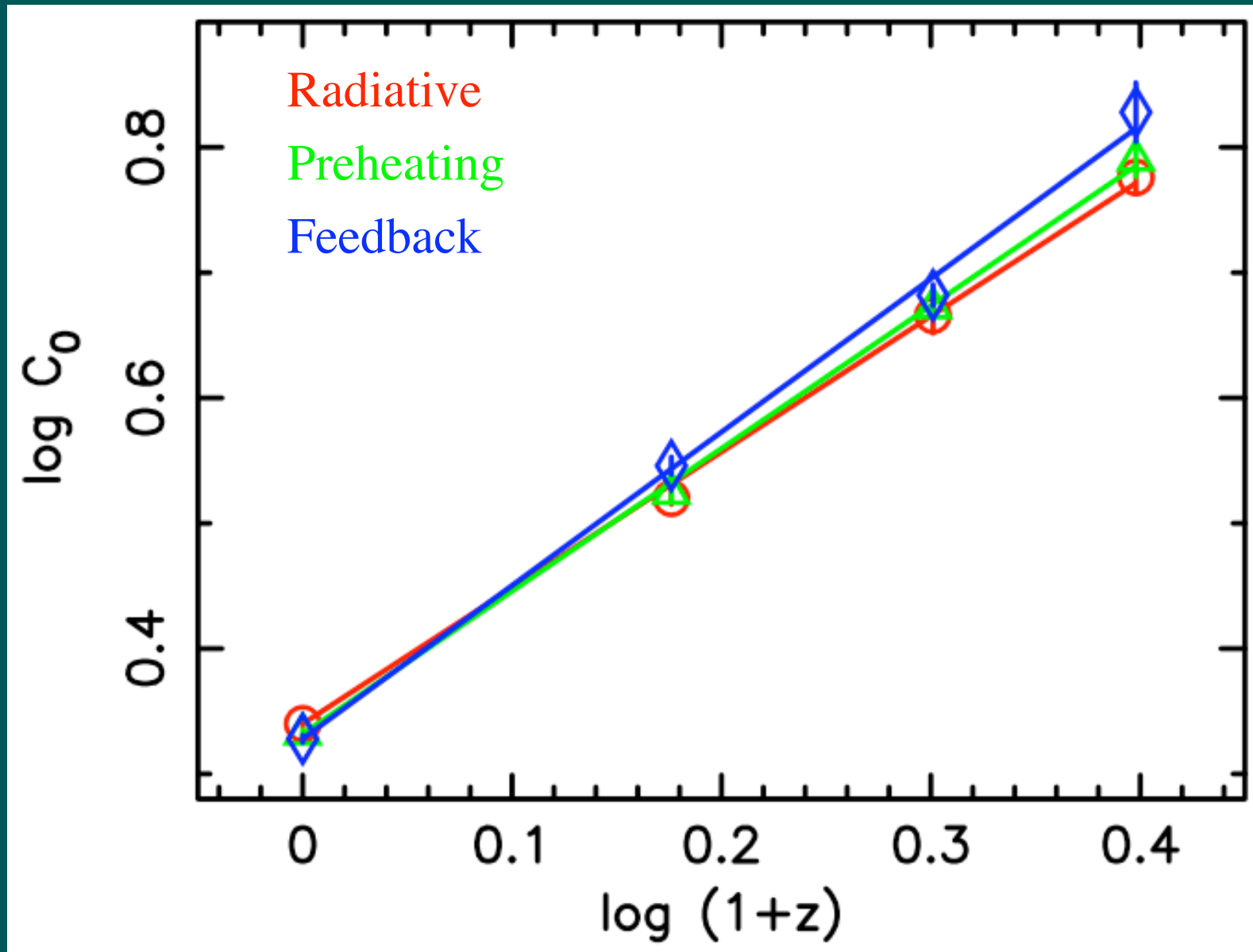
$$\log T = \log(1+z) + \frac{2}{3} \log M$$

$$\log L = \frac{7}{2} \log(1+z) + \frac{4}{3} \log M$$

$$\log L = \frac{3}{2} \log(1+z) + 2 \log T$$

$$\log L_{\text{bol}} = A \log(1+z) + \alpha \log T_{\text{bol}}$$

$T_{\text{dyn}}\text{-}M_{500}$ evolution



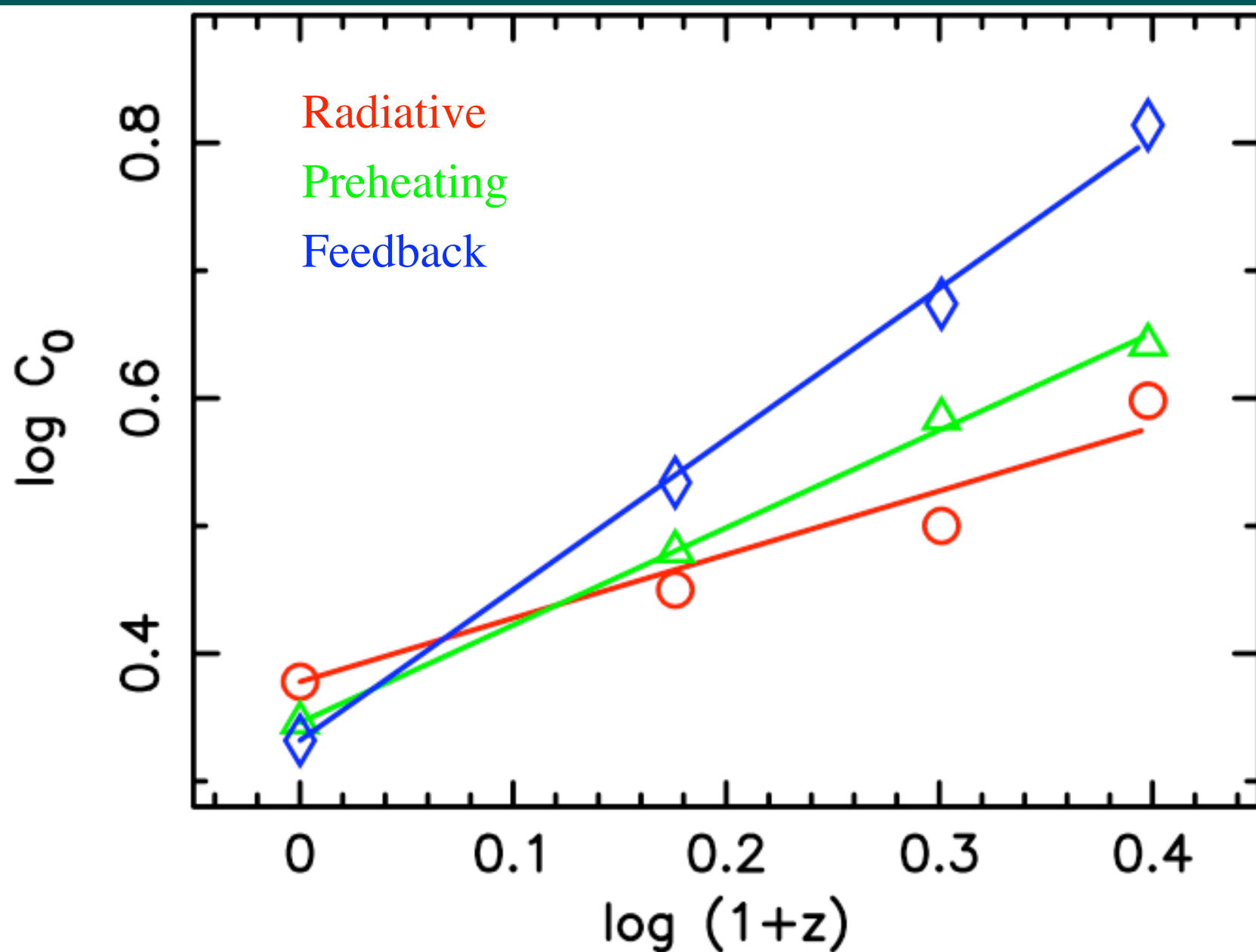
Evolution parameters

$T_{\text{dyn}} - M_{500}$

$$\log T_{\text{dyn}} = A \log(1+z) + \alpha \log M_{500}$$

Model	A	α
Radiative	1.1	0.70
Preheating	1.1	0.70
Feedback	1.2	0.69

T_X - M_{500} evolution



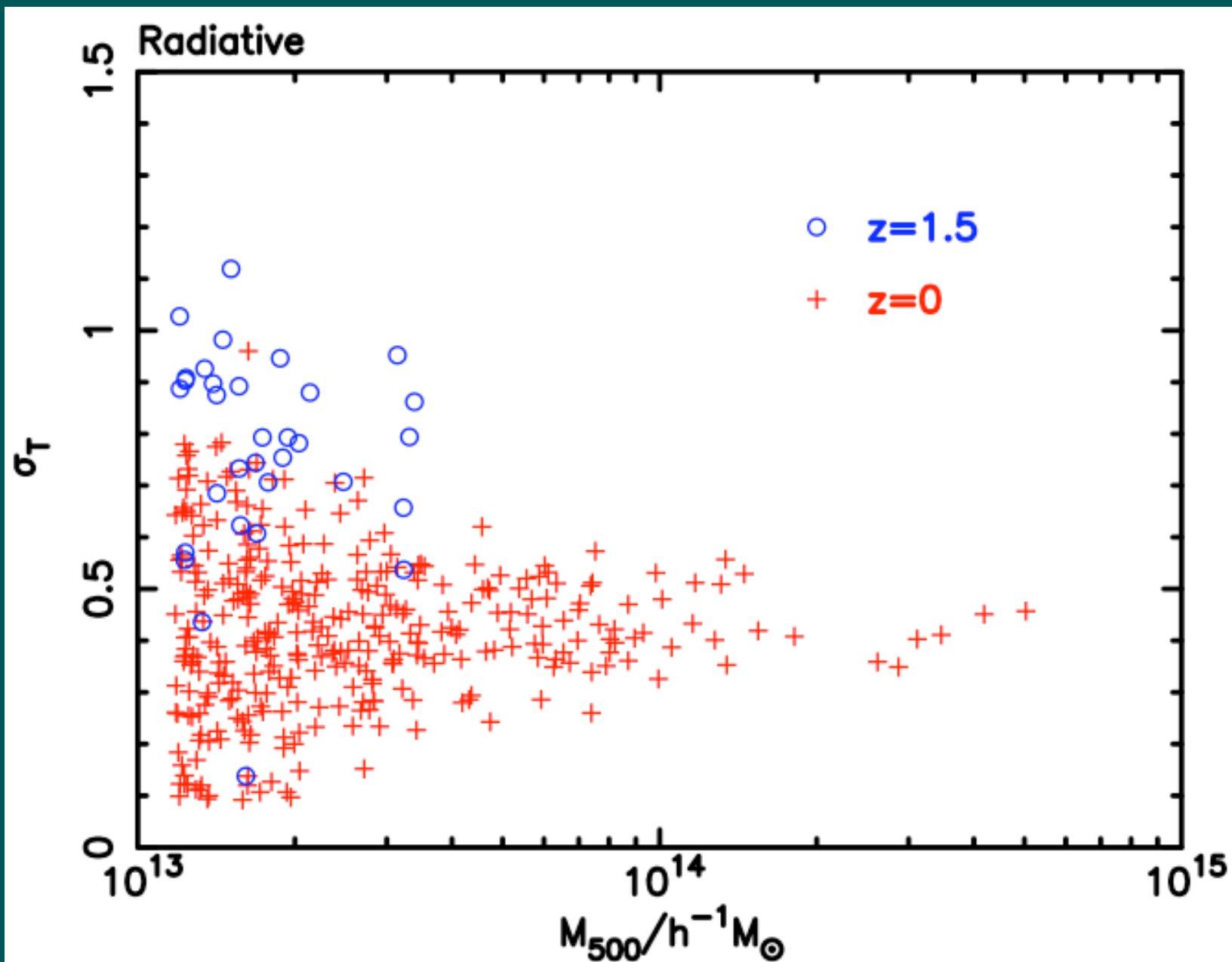
Evolution parameters

T_X - M_{500}

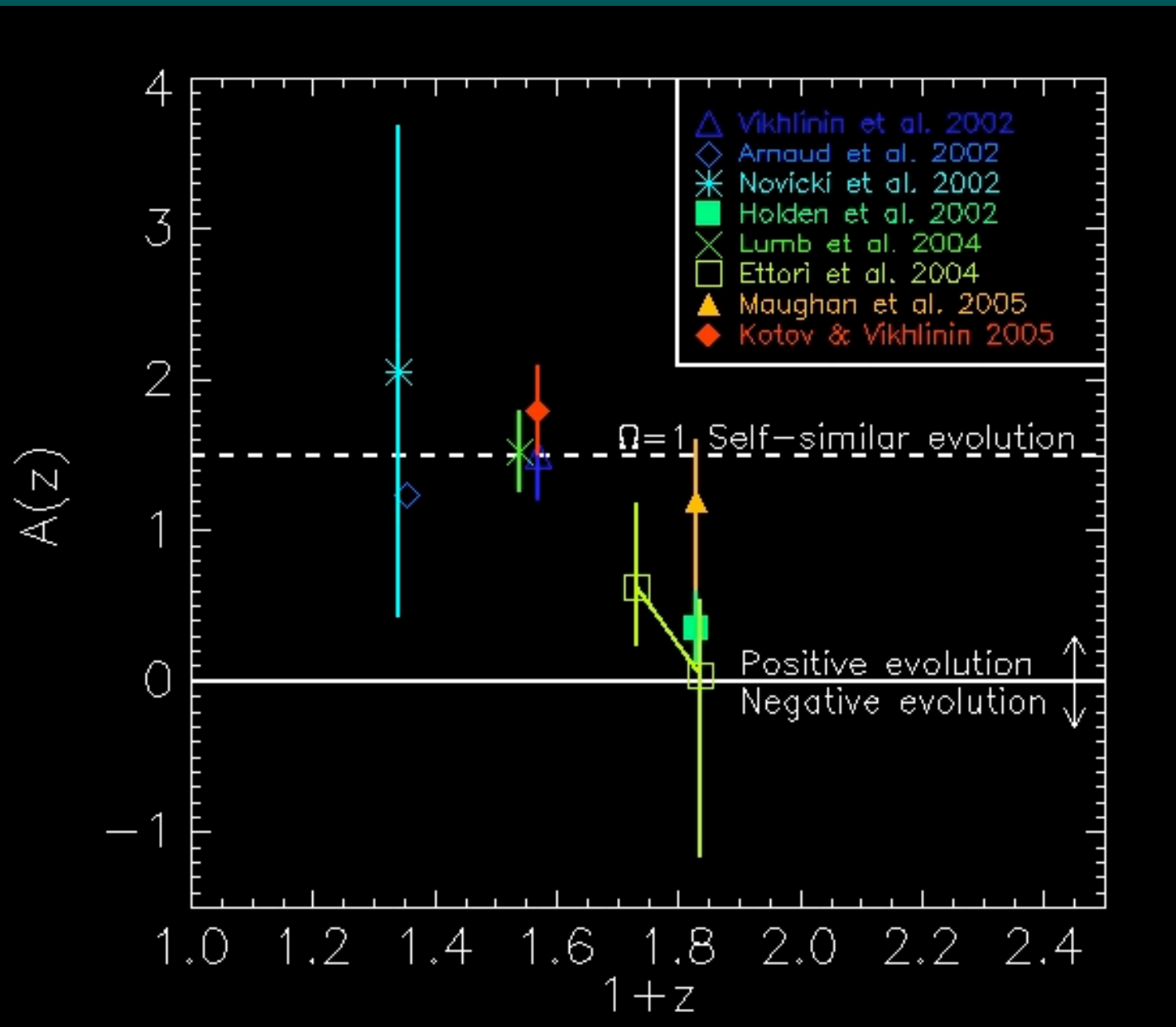
$$\log T_X = A \log(1+z) + \alpha \log M_{500}$$

Model	A	α
Radiative	0.5	0.59
Preheating	0.8	0.61
Feedback	1.2	0.64

Evolution of temperature substructure

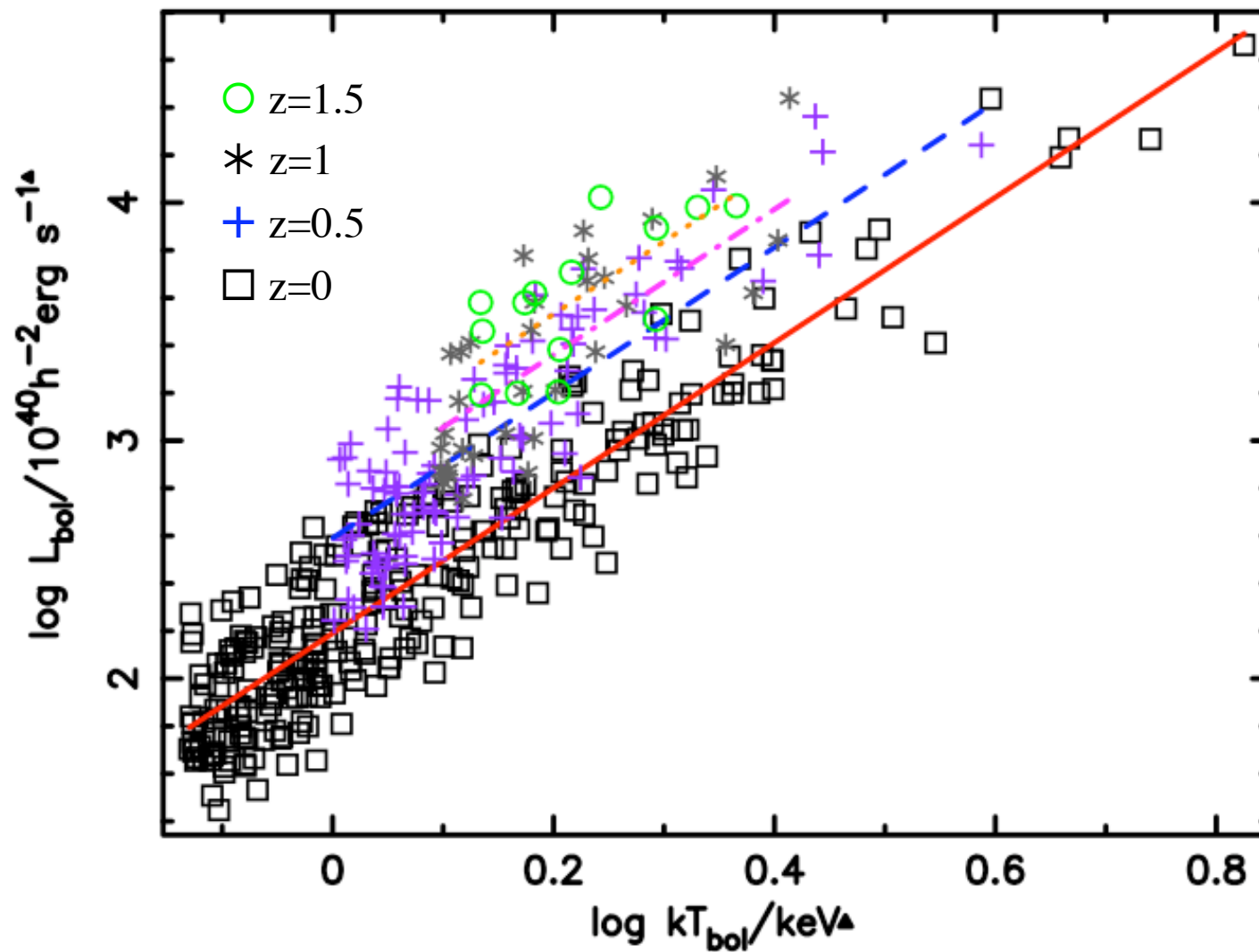


Observed L-T evolution



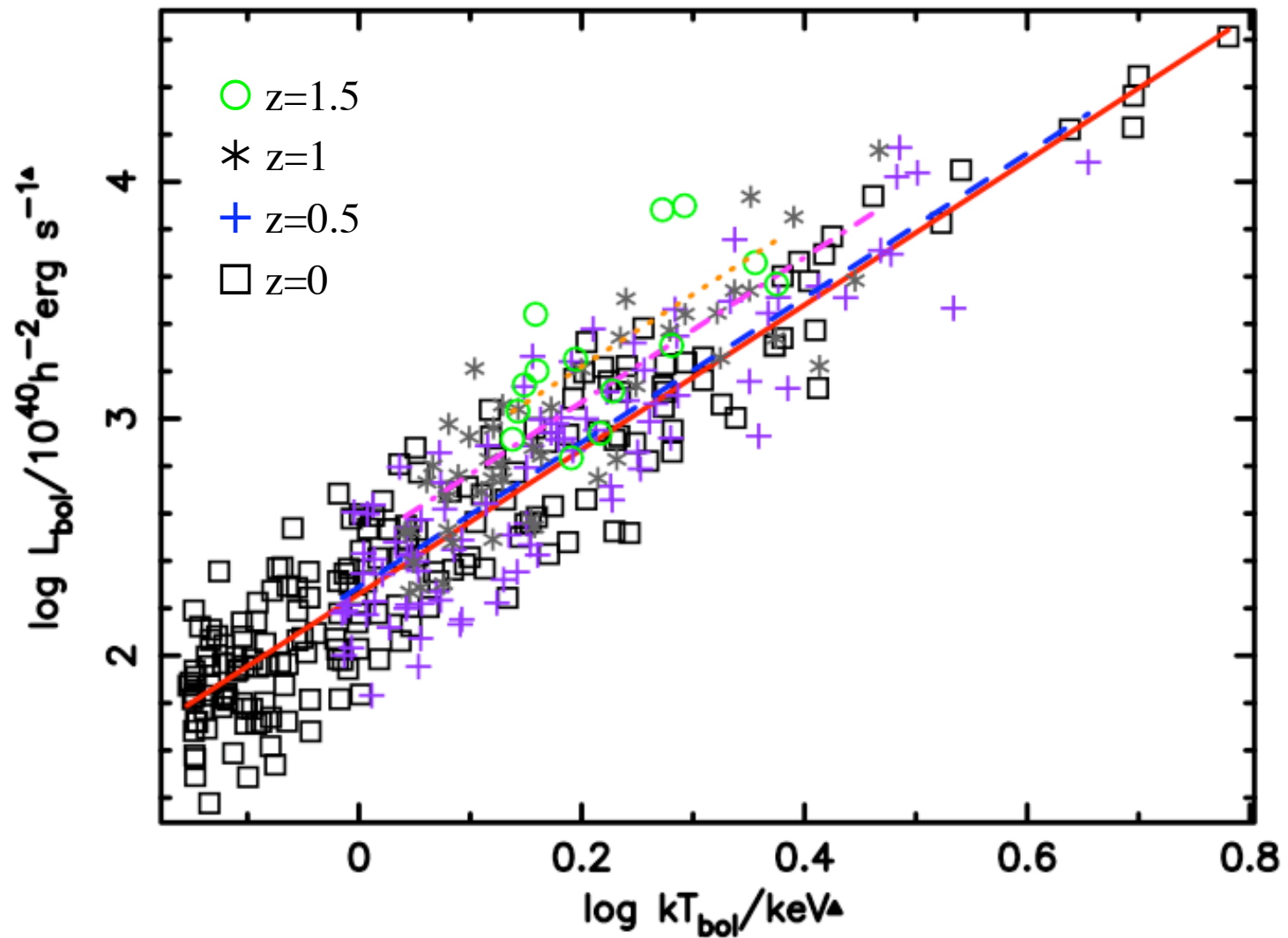
Luminosity - temperature evolution

Radiative



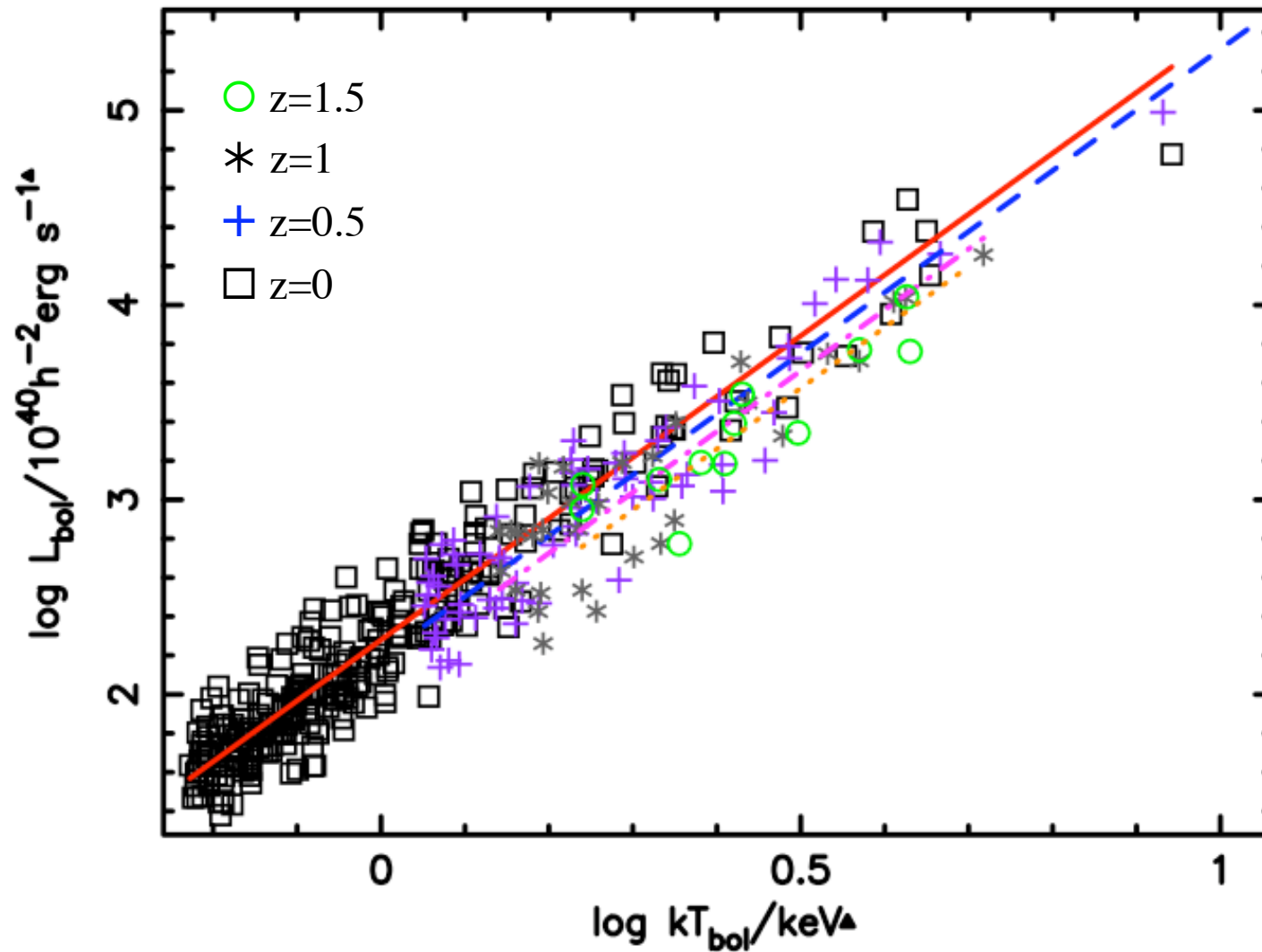
Luminosity - temperature evolution

Preheating

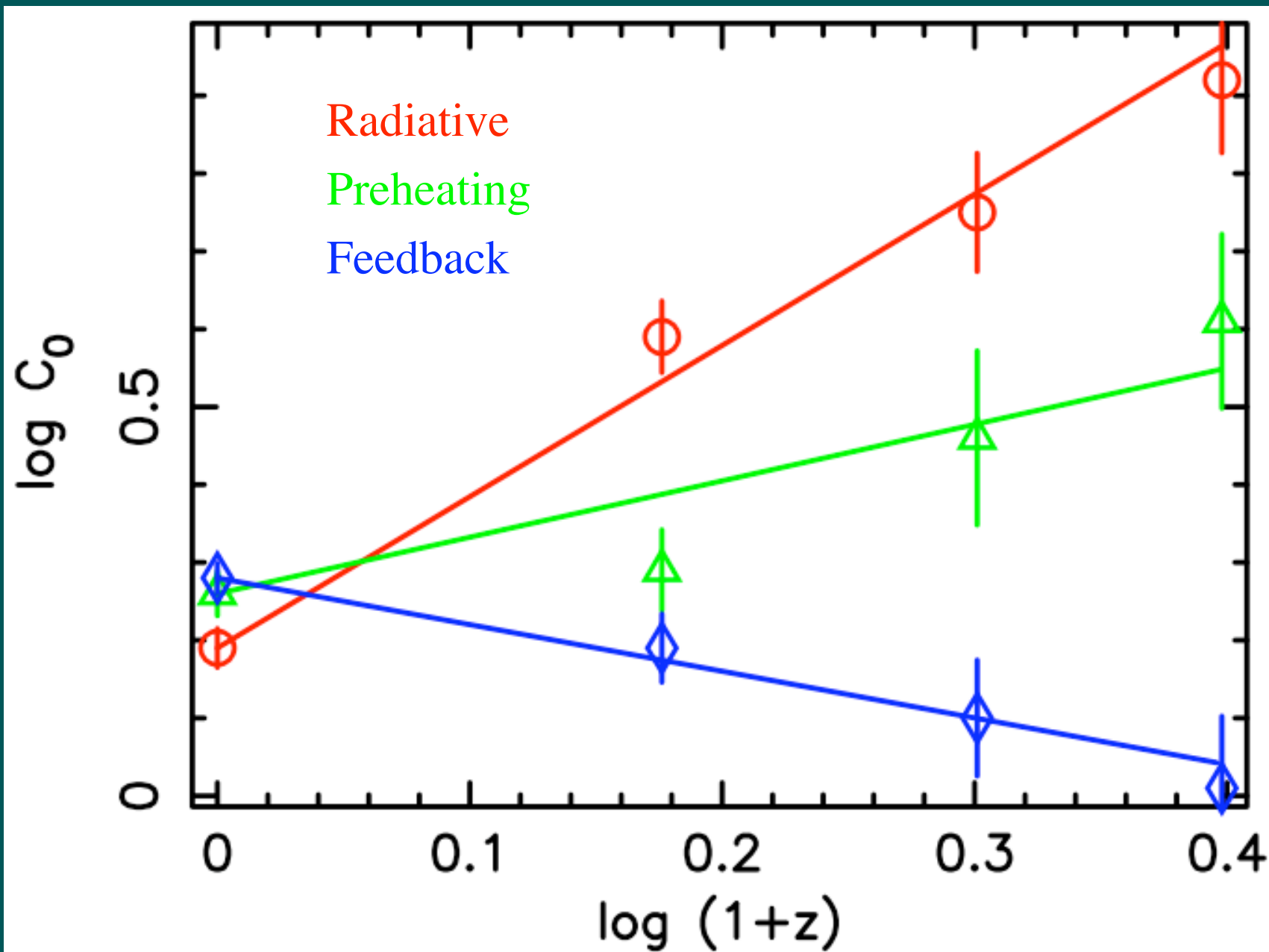


Luminosity - temperature evolution

Feedback



L_x - T_x evolution



$$\log L_{\text{bol}} = A \log(1+z) + \alpha \log T_{\text{bol}}$$

Model	A	α
Radiative	1.9	3.06
Preheating	0.7	3.05
Feedback	-0.6	3.13

Different physical models can have very different evolution properties for cluster scaling relations.

Feedback models (targeted entropy injection) show less evolution than preheating models (distributed entropy injection).

The observational picture is still uncertain but seems to favour preheating models.

Caveat: we have to measure temperatures properly.

SZ scaling relations

with
Scott Kay
Andrew Liddle
Antonio da Silva

SZ Scaling relations

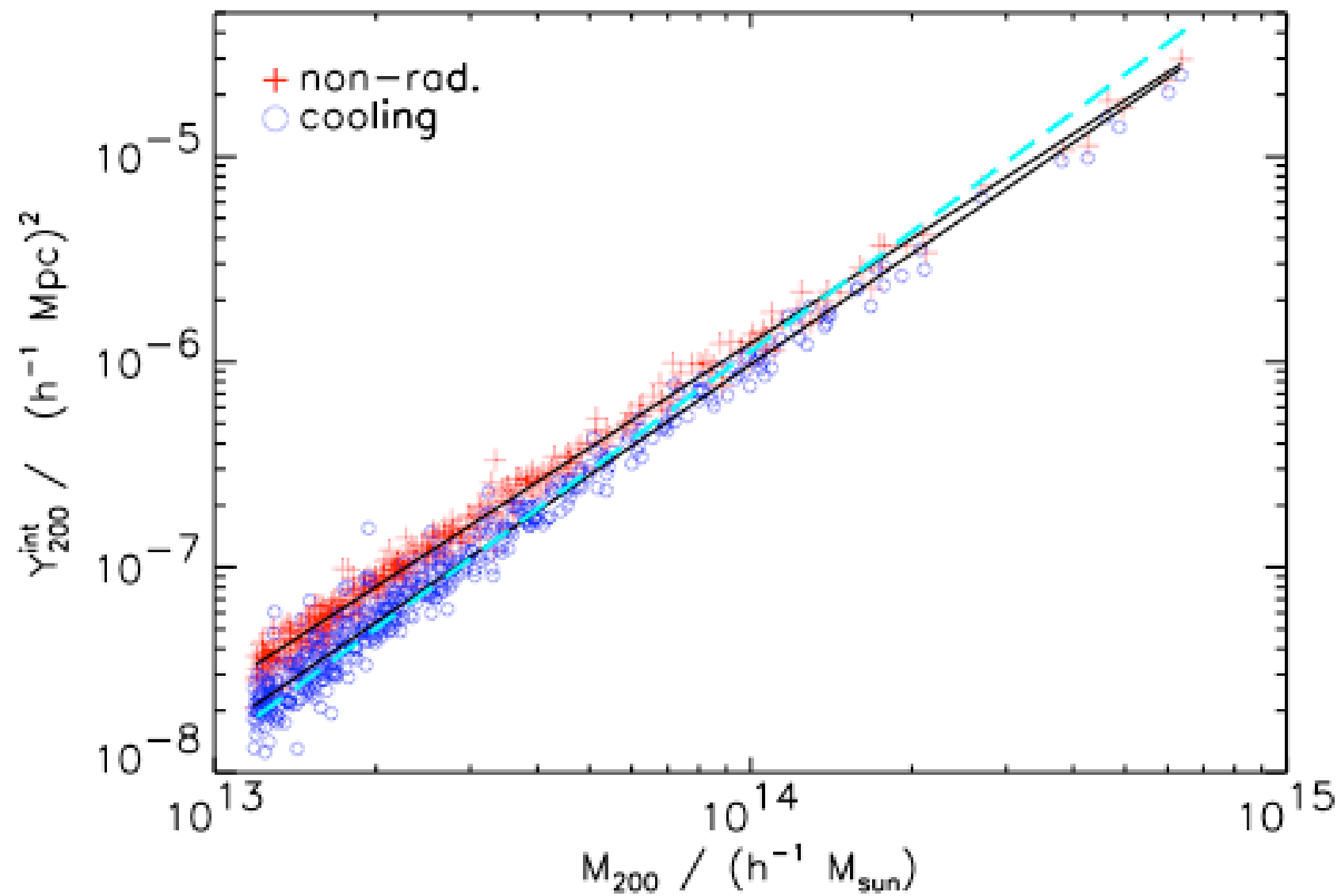
$$Y_{\text{int}} = Y d_A^2 = \frac{k_B \sigma_T}{m_e c^2} \int n_e T_e dV$$

$$\log Y_{\text{int}} = \log(1+z) + \frac{5}{3} \log M$$

$$\log Y_{\text{int}} = -\frac{3}{2} \log(1+z) + \frac{5}{2} \log T$$

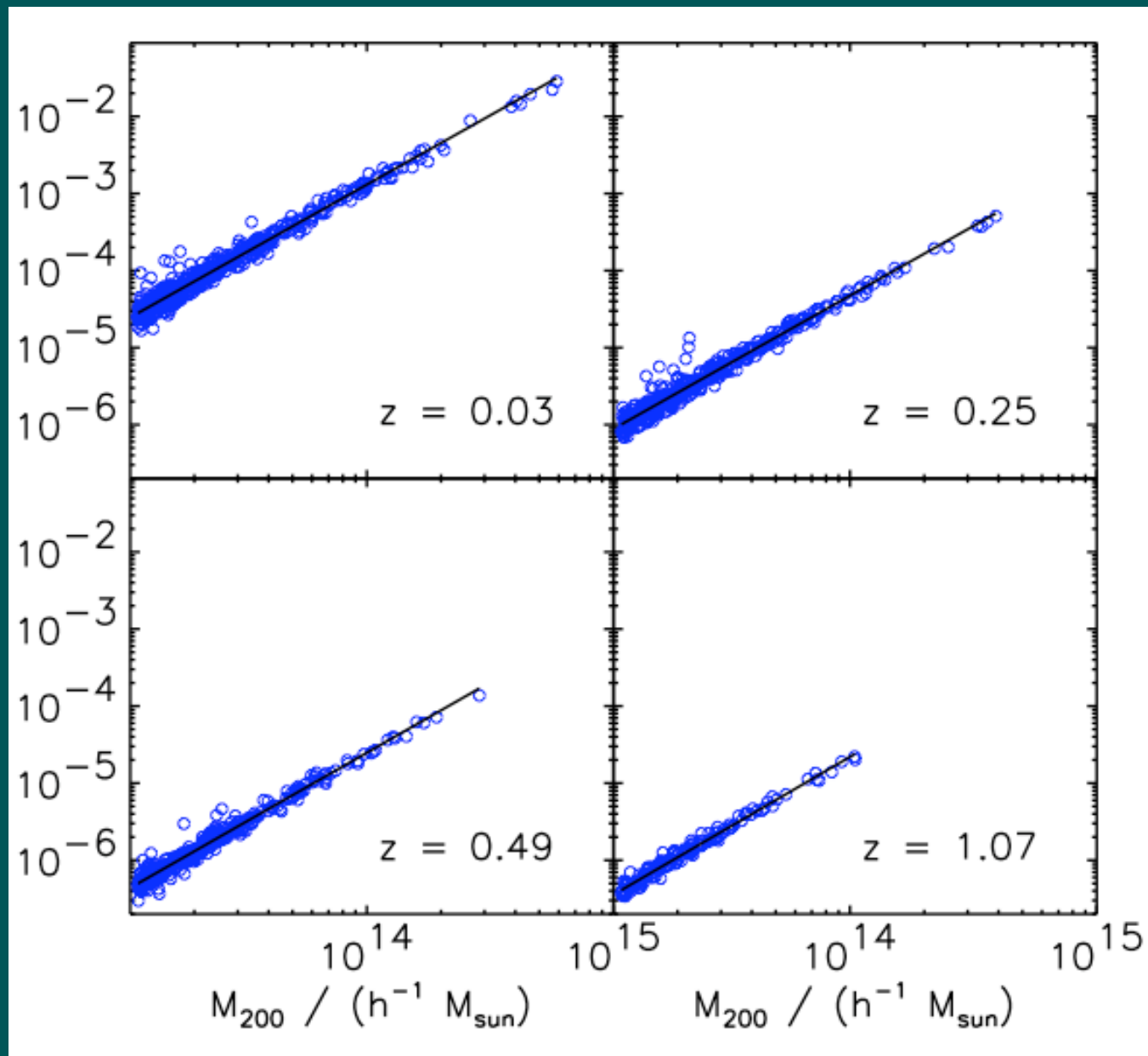
$$\log Y_{\text{int}} = -\frac{27}{8} \log(1+z) + \frac{5}{4} \log L_X$$

$Y_{\text{int}}-M_{200}$

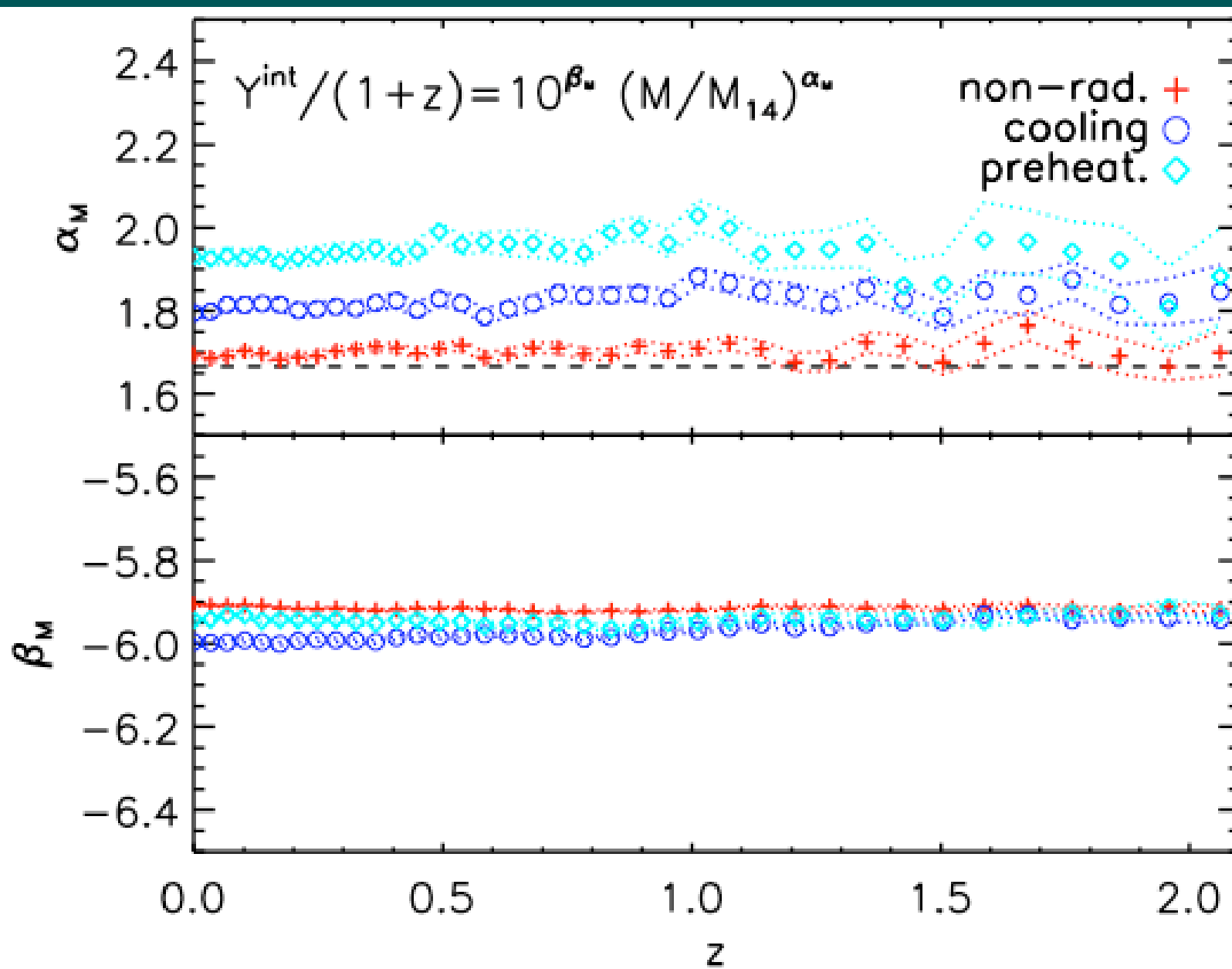


Y-M₂₀₀ evolution

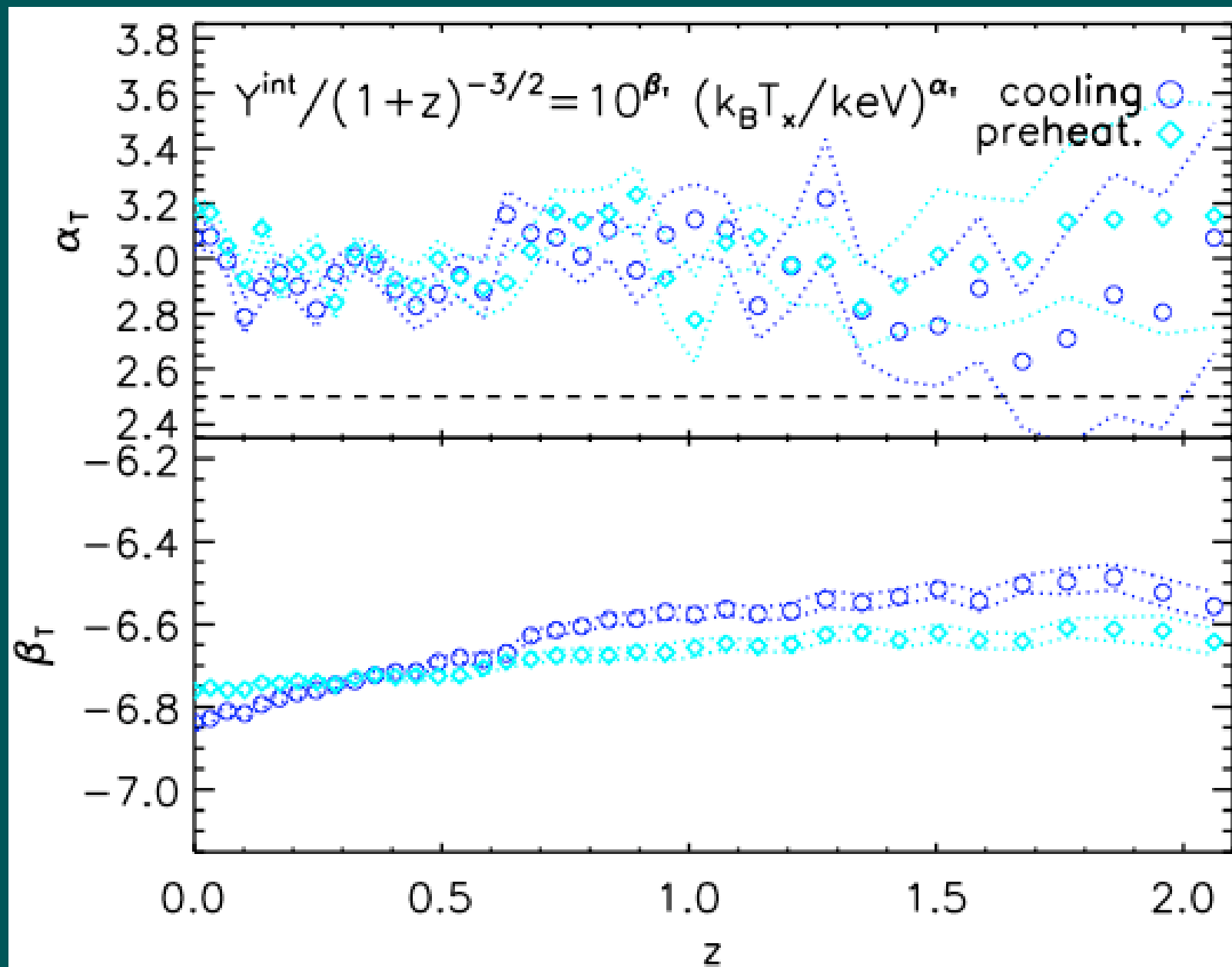
$Y_{200} / h \text{ arcmin}^2$



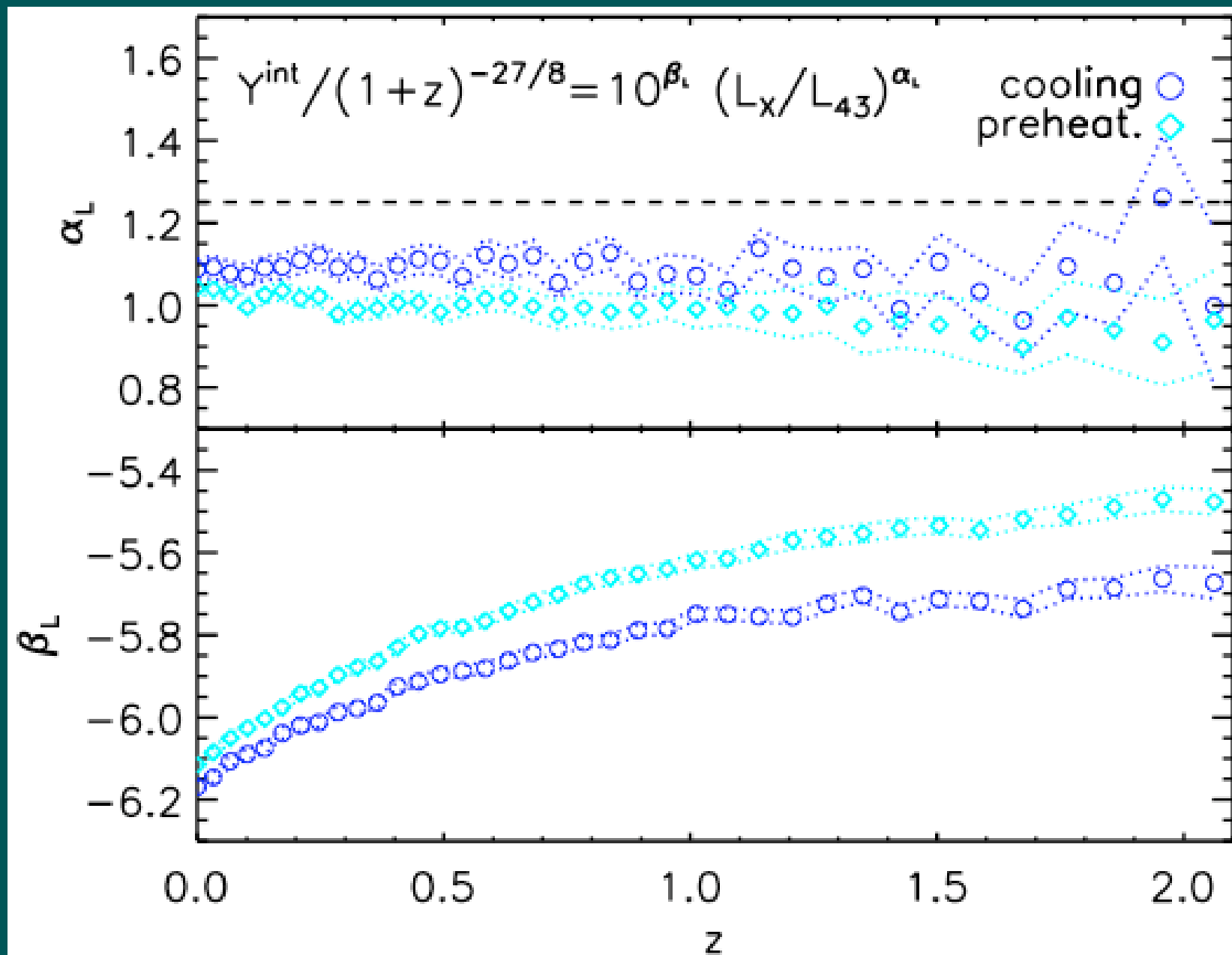
$Y_{\text{int}}\text{-}M_{200}$ evolution



$Y_{\text{int}}-T_x$ evolution



$Y_{\text{int}}\text{-}L_x$ evolution



The SZ integrated Y parameter is largely unaffected by cluster physics.

Evolution in $Y-T_x$ and $Y-L_x$ is largely driven by evolution in the X-ray properties.

Astronomy Centre, Sussex
IAS, Orsay
LATT, Toulouse

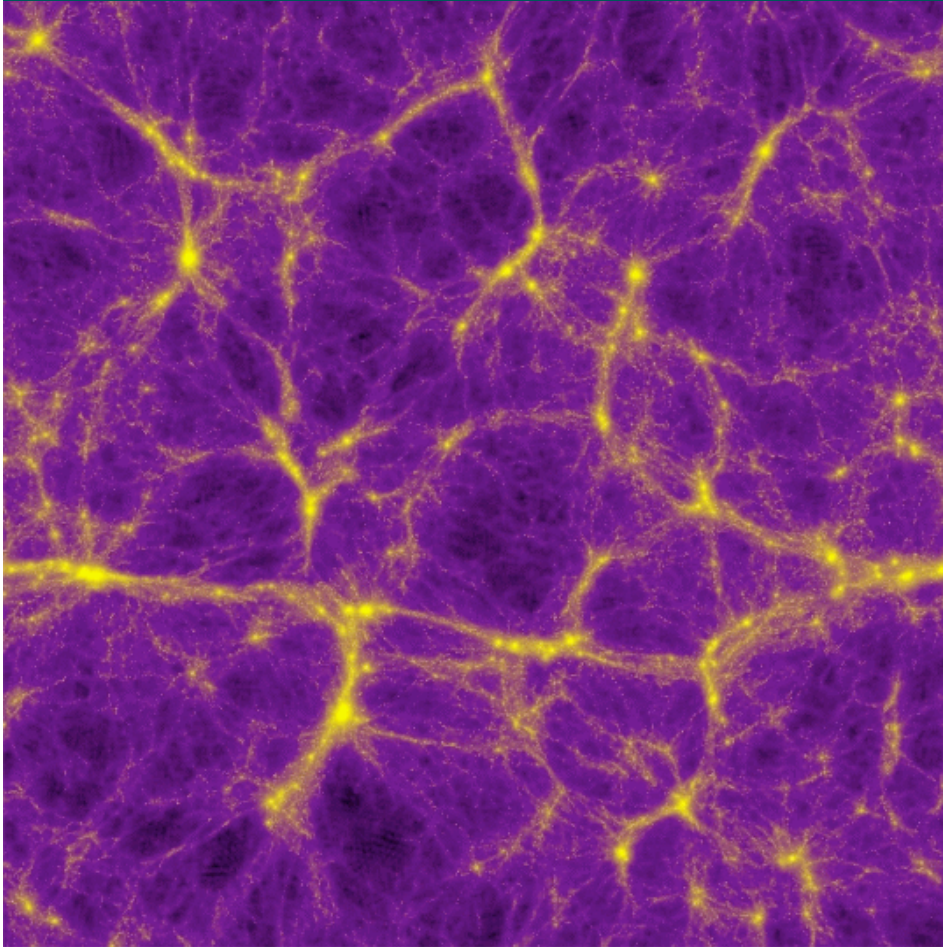
with
Antonio da Silva
Scott Kay

CLEF

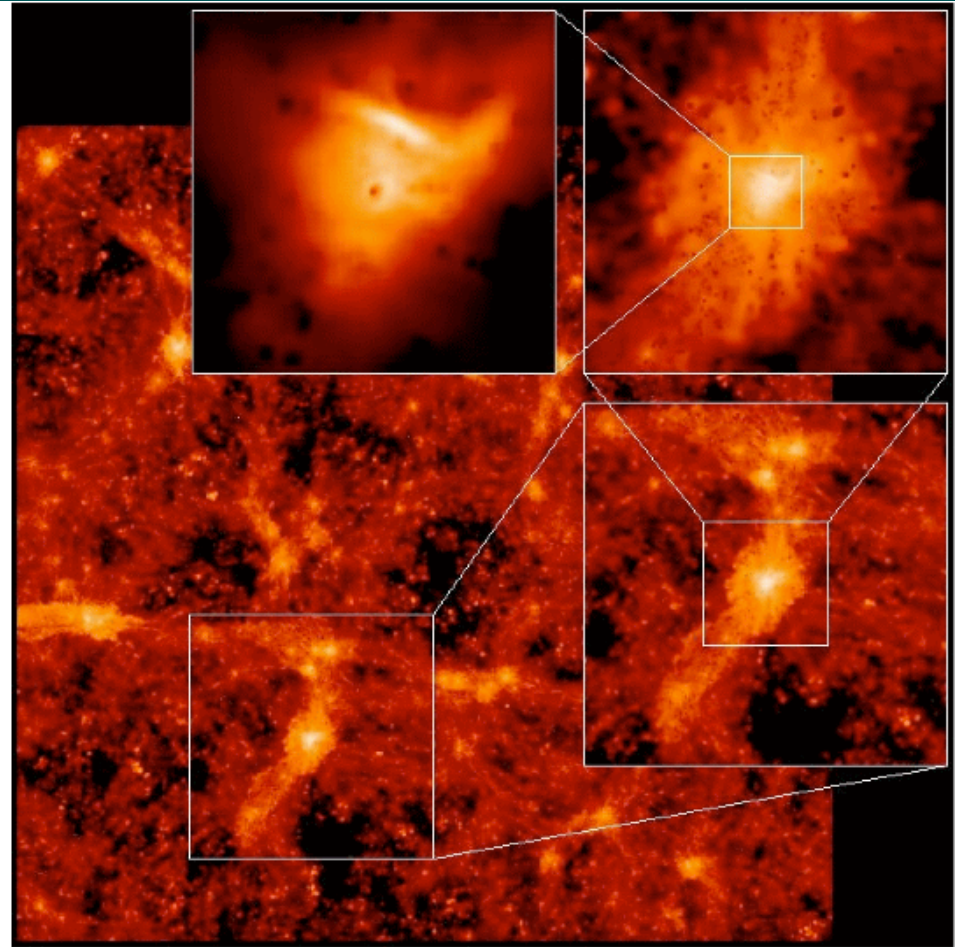
CLuster Evolution & Formation

- Medium-resolution cluster catalogues
- >400 (60) clusters with $kT_{\text{vir}} > 1$ (3) keV
- 60,000 hours at CINES, Montpellier
- $N_{\text{DM}} = N_{\text{gas}} = 428^3$
- $L = 200 h^{-1} \text{Mpc}$
- $h=0.7$, $\Omega=0.7$, $\Omega_b=0.0486$, $\sigma_8=0.9$
- $M_{\text{DM}} = 7.1 \times 10^9 h^{-1} M_{\odot}$, $M_{\text{gas}} = 1.4 \times 10^9 h^{-1} M_{\odot}$
- Feedback, $Z=0.3Z_{\odot}$, 10% of cooled particles given an entropy excess of 1000 keV cm^2

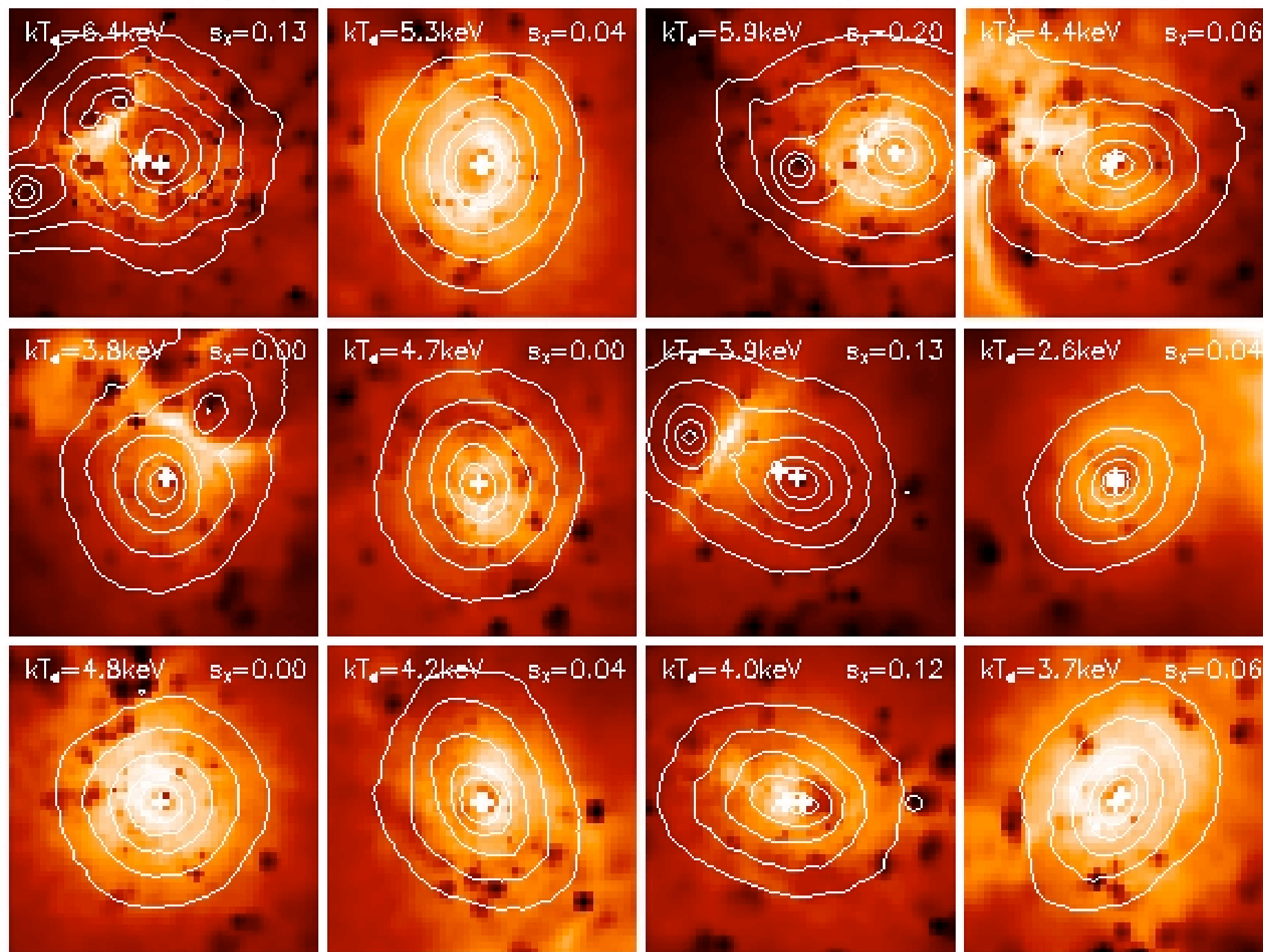
Gas distribution



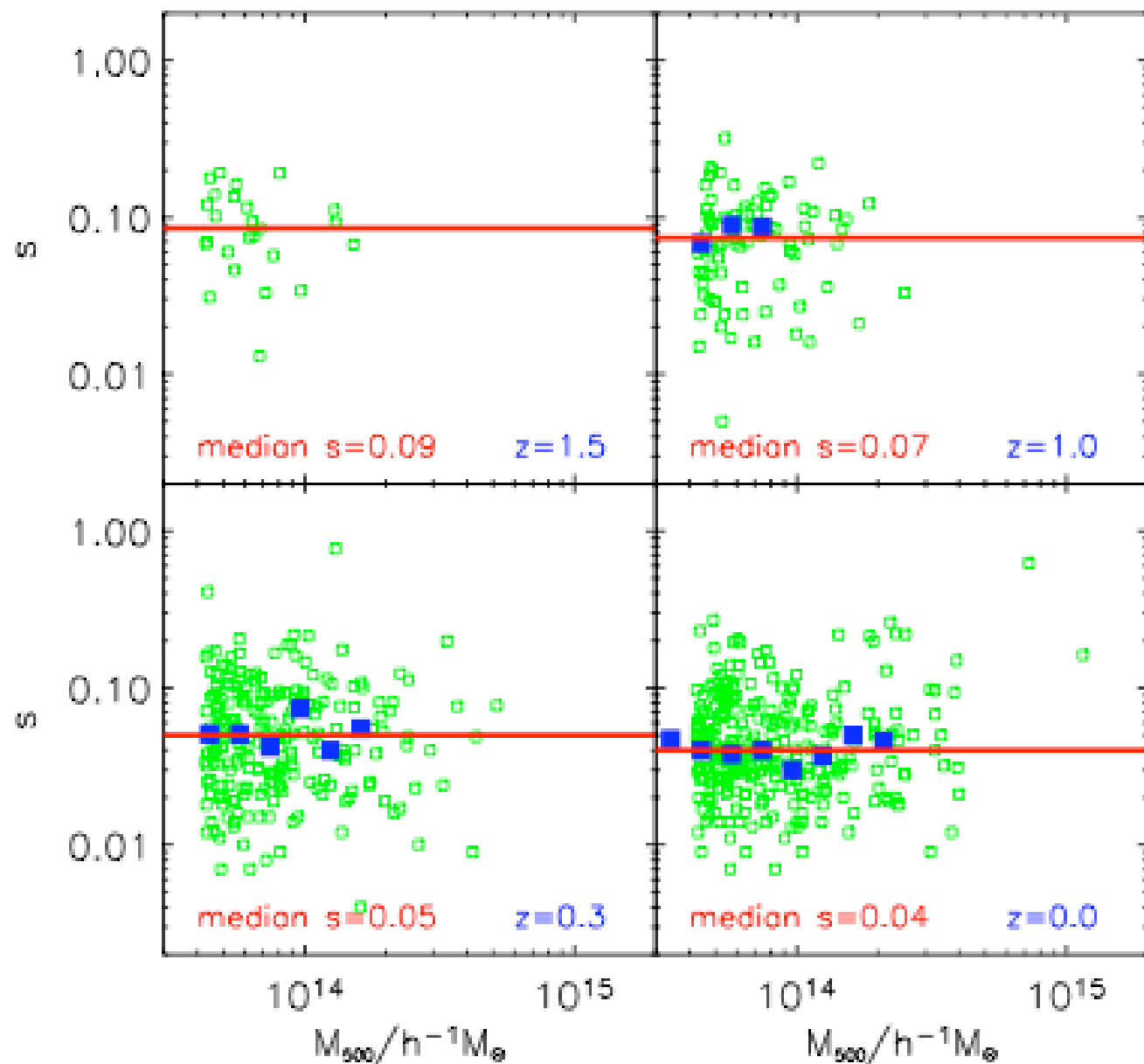
Surface brightness



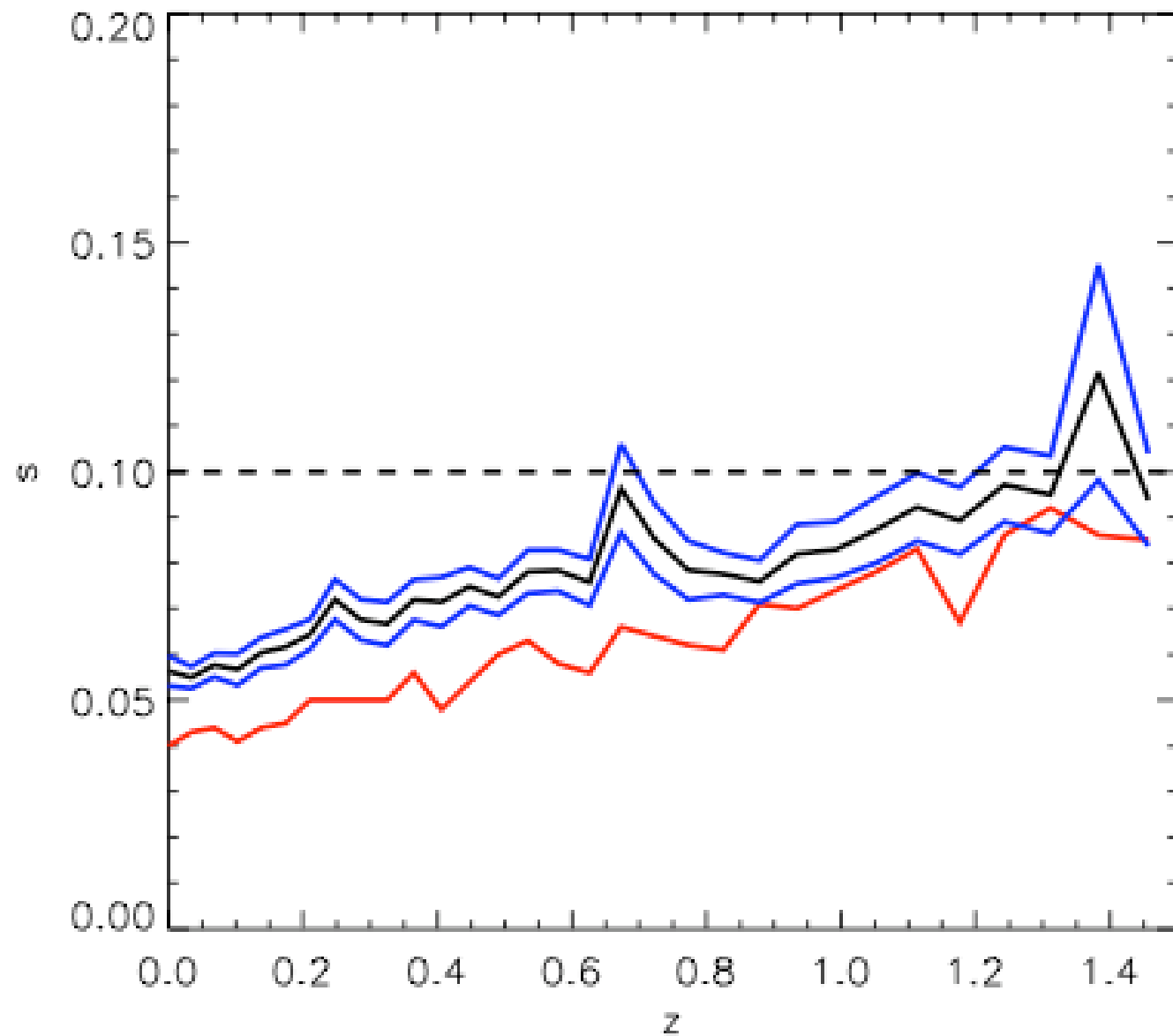
Mass-weighted temperature



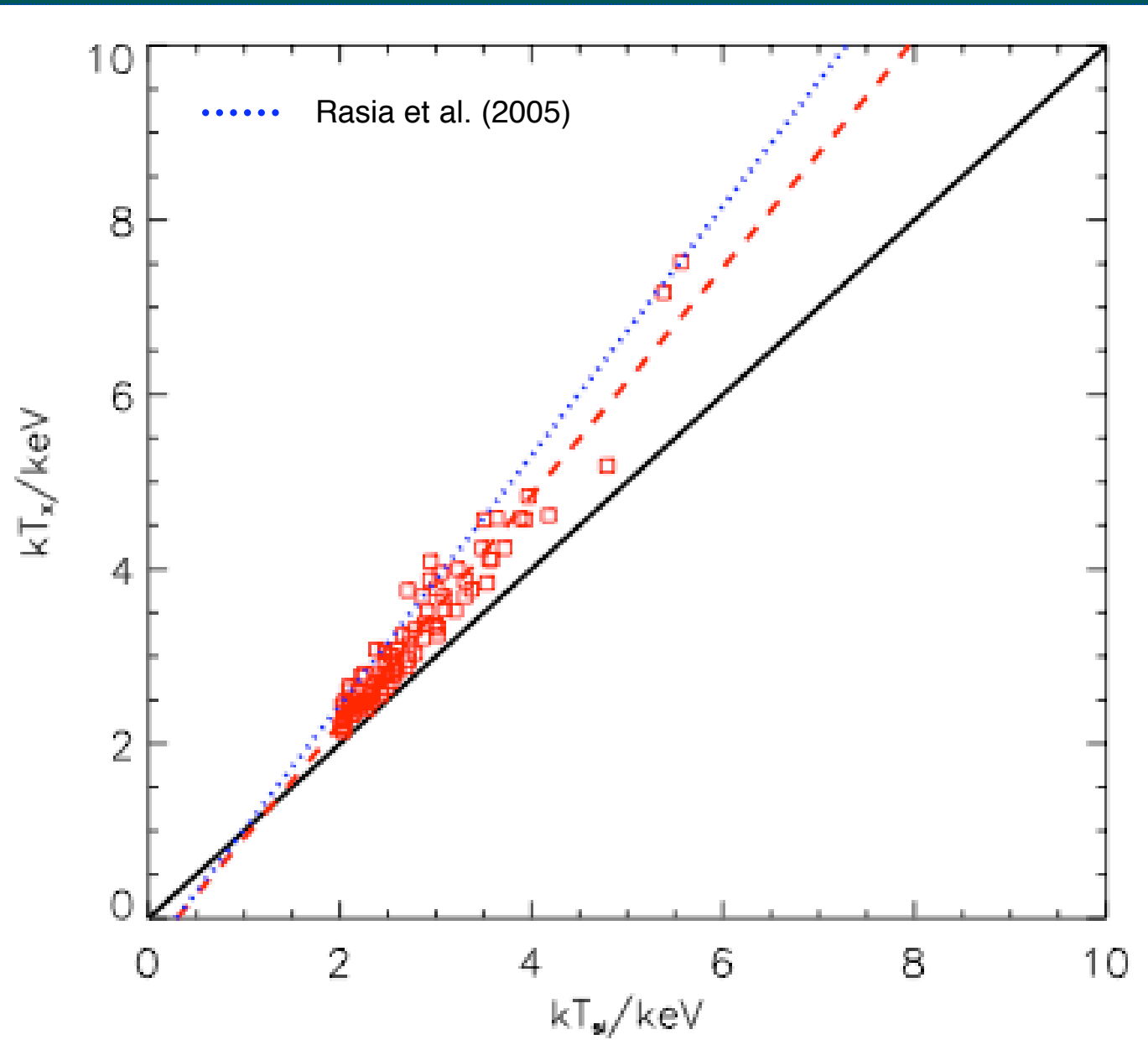
Substructure evolution



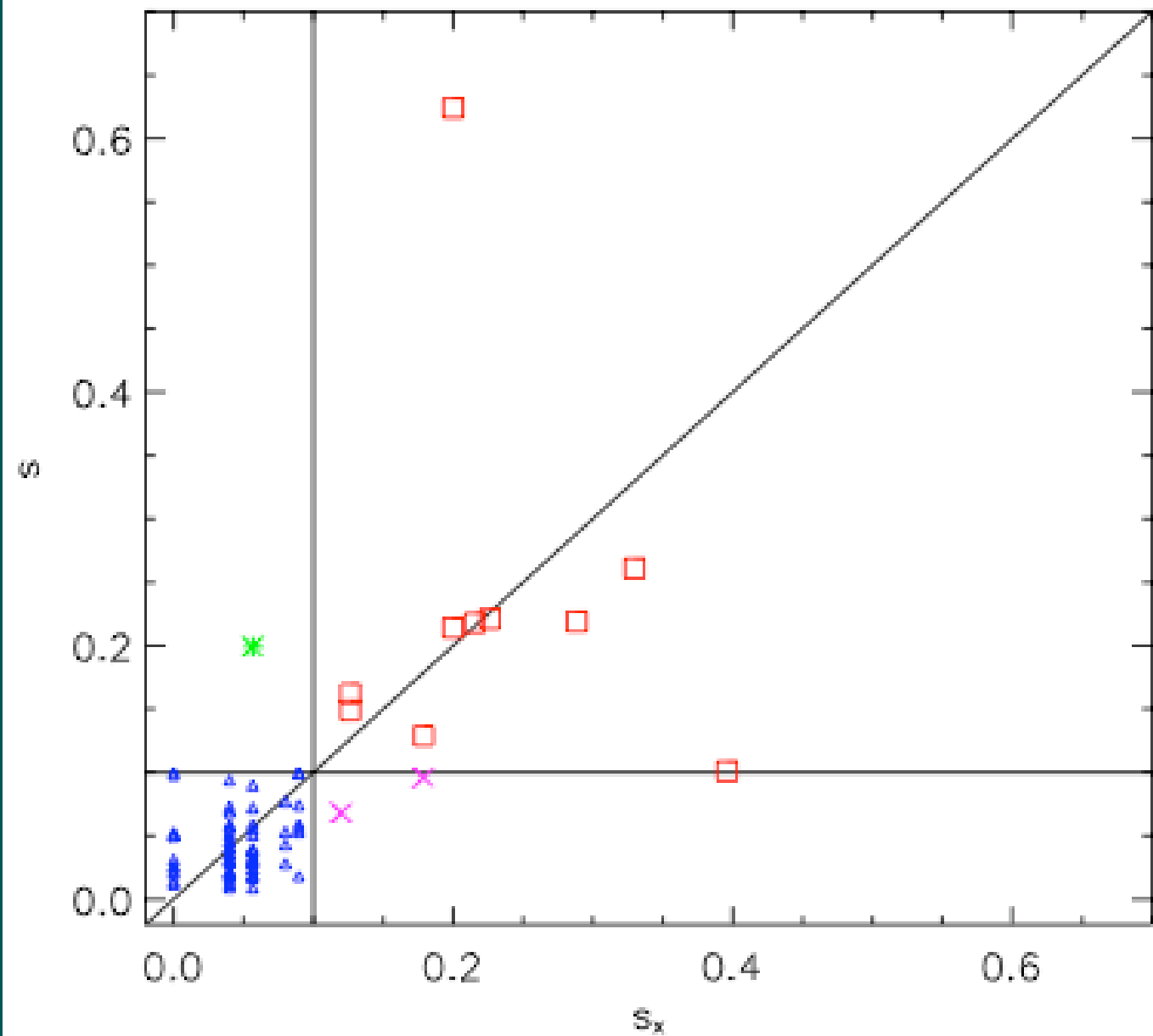
Substructure evolution



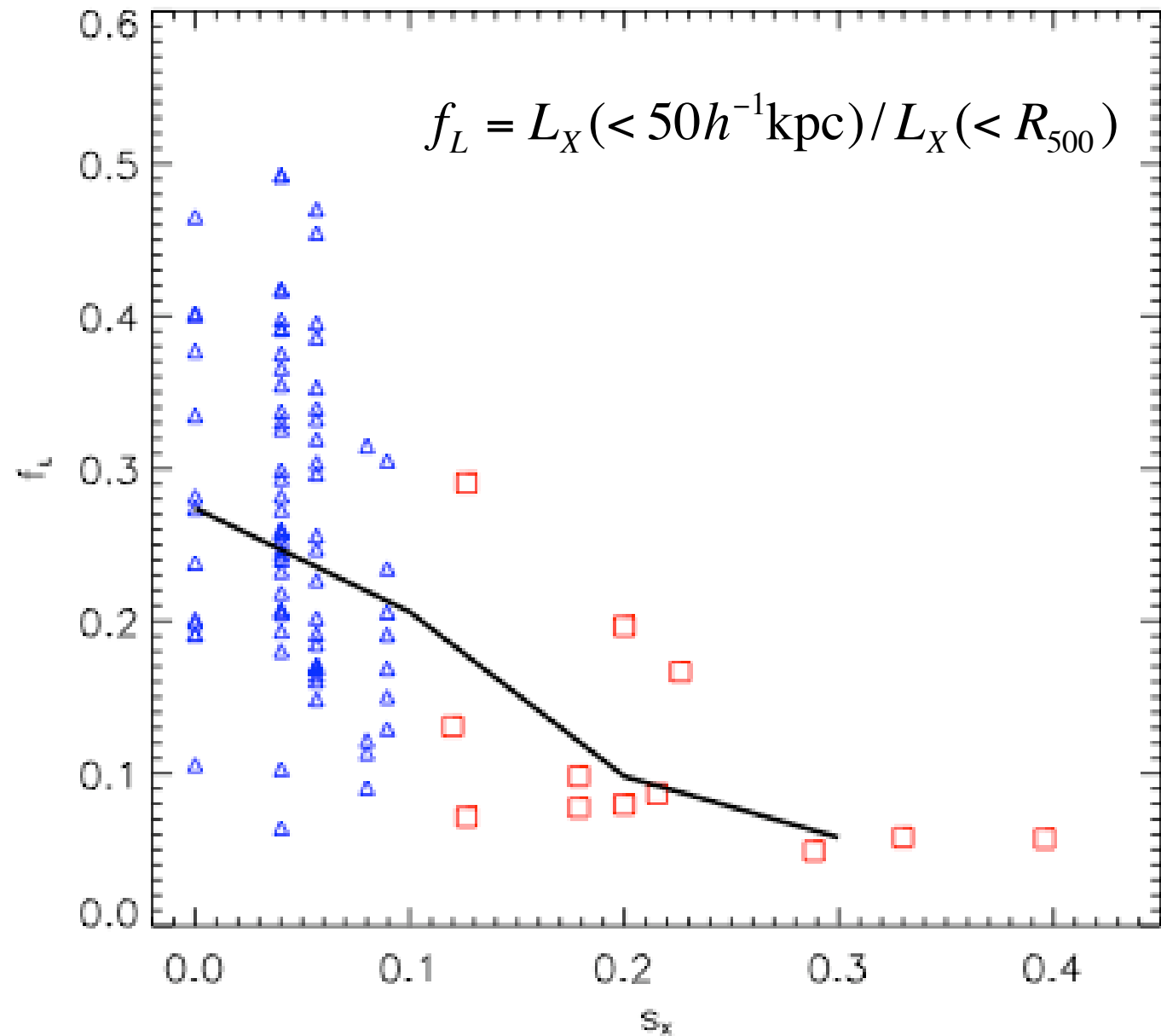
Emission-weighted versus spectroscopic temperature



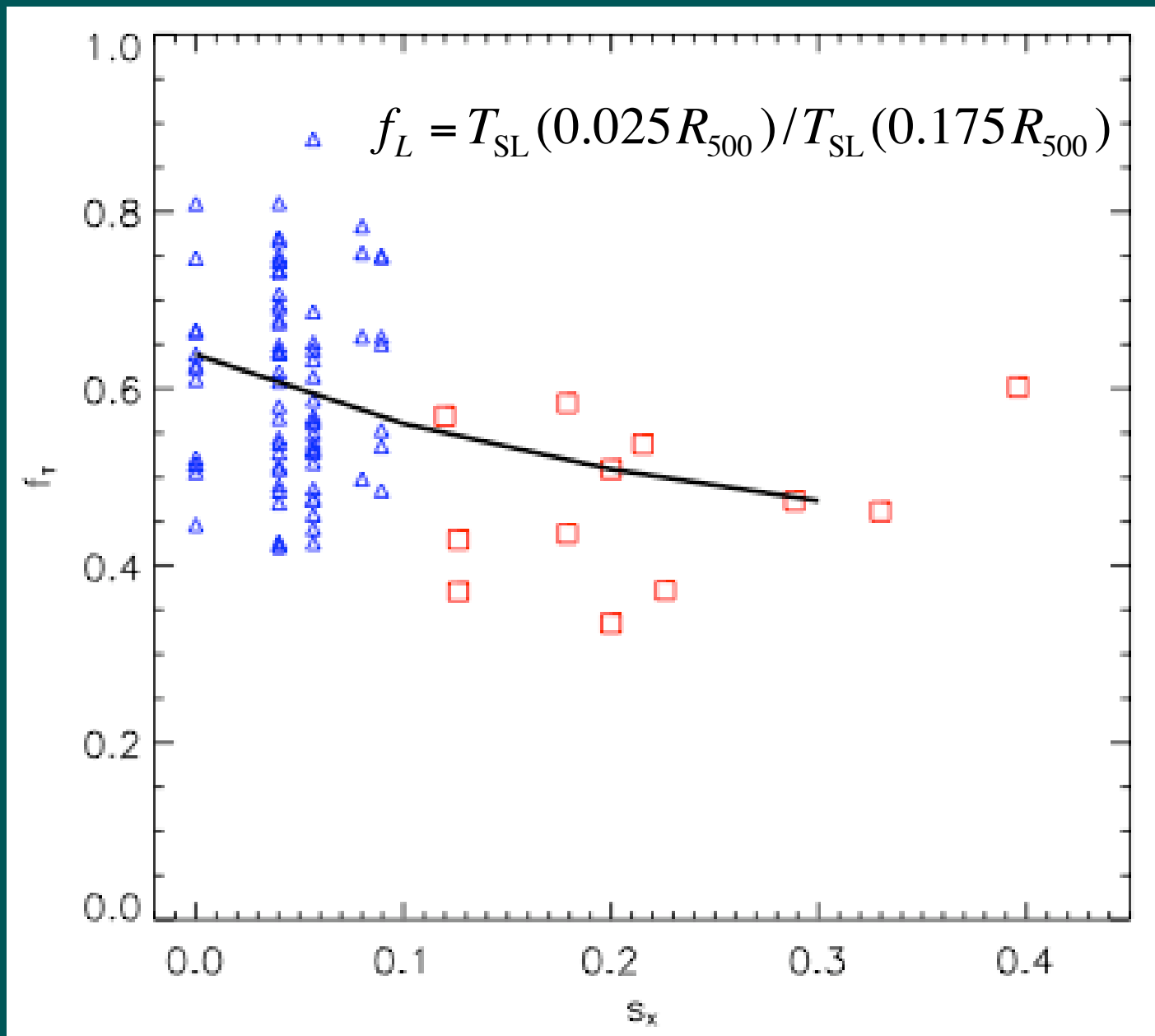
3-d versus 2-d substructure



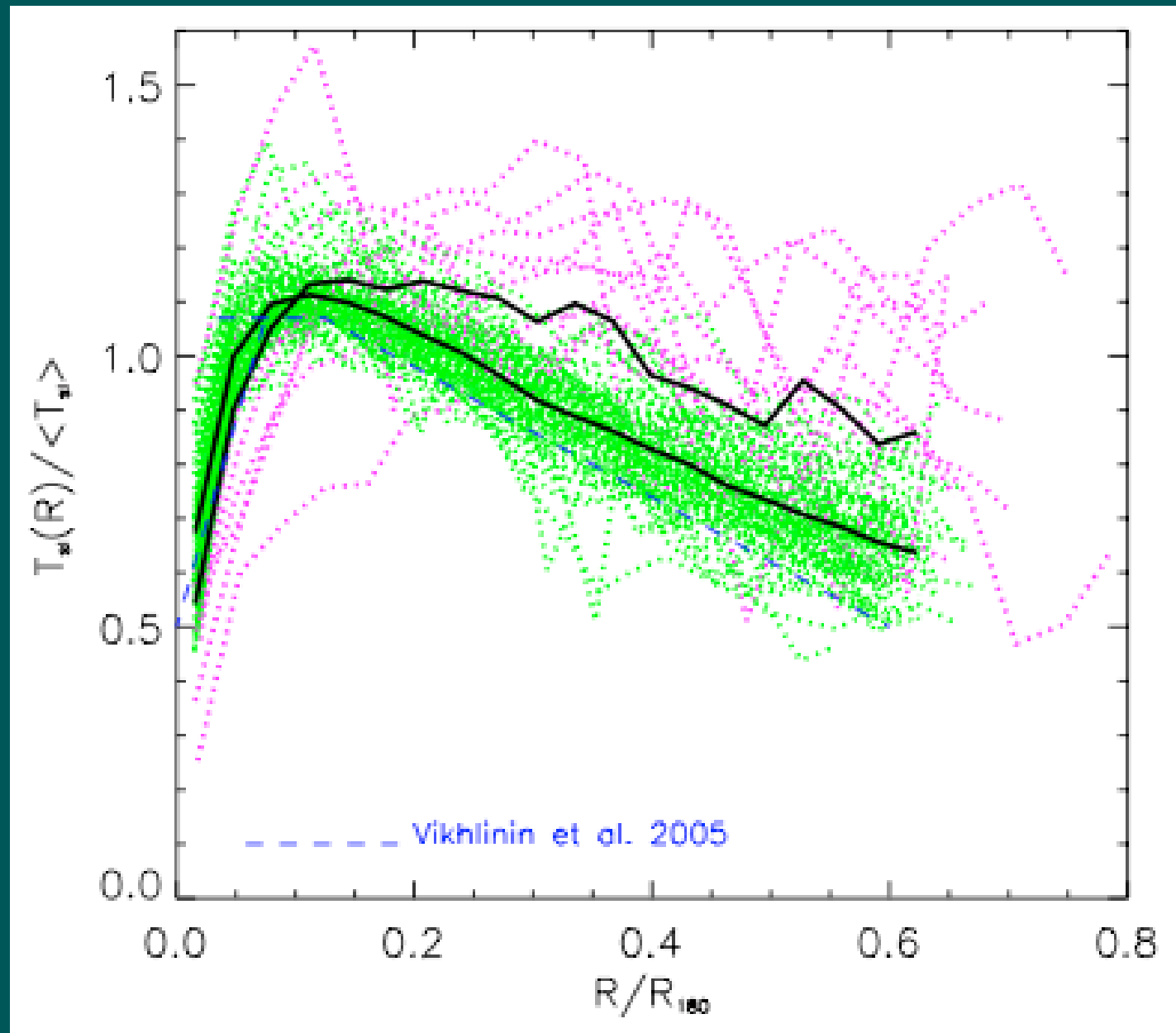
Luminosity concentration versus substructure



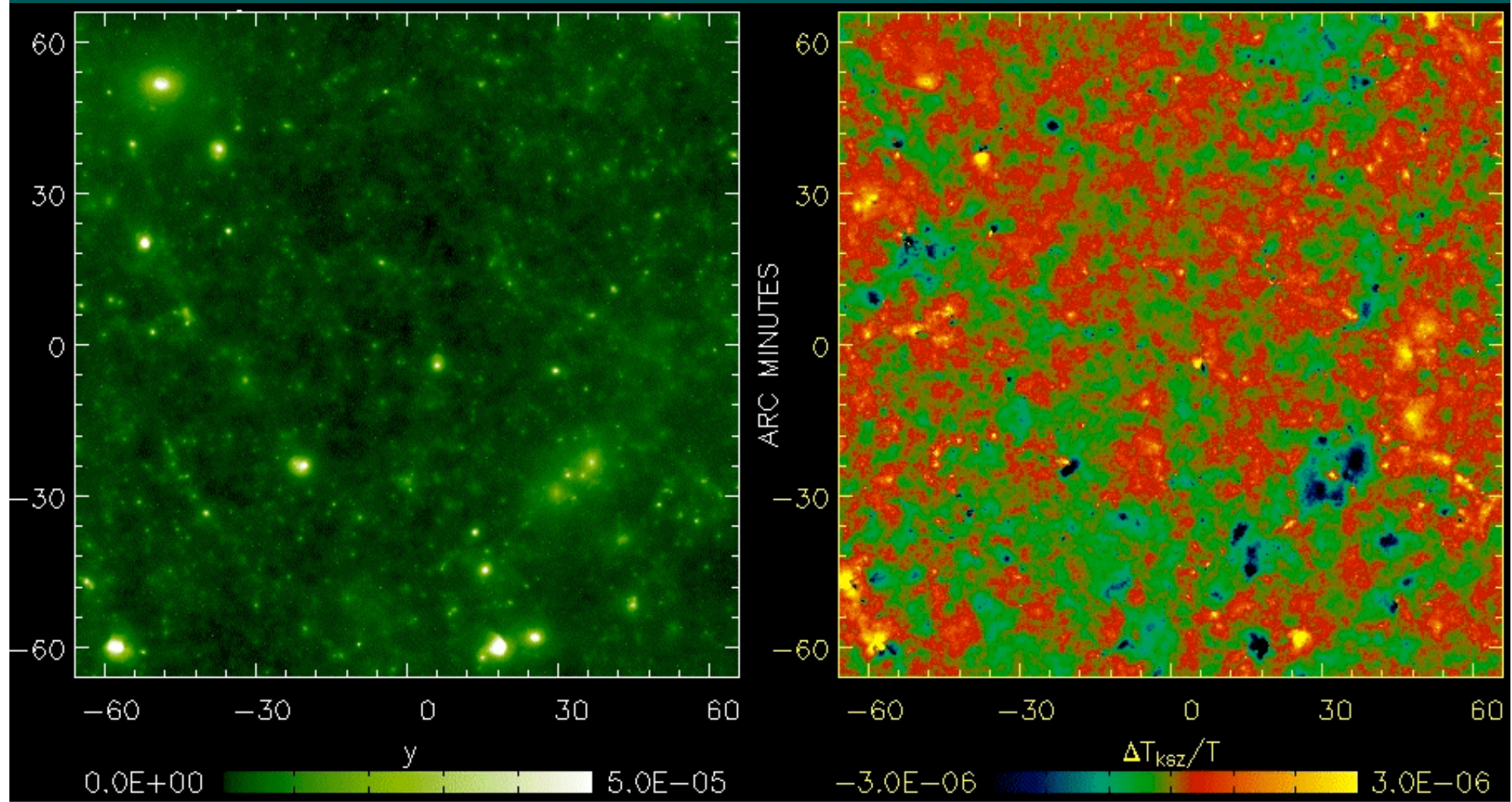
Temperature concentration versus substructure



Projected temperature profiles



SZ maps



Millennium Gas Project



with
Frazer Pearce
et al.

- Series of 1 billion particle SPH simulations
 - Same volume and phases as Millennium DM run
 - Build up physics gradually
 - 160 outputs equally spaced in time
-
- $N_{\text{DM}} = N_{\text{gas}} = 500,000,000$
 - $L = 500h^{-1}\text{Mpc}$
 - $h=0.73, \Omega=0.75, \Omega_c=0.25, \Omega_b=0.045$
 - $M_{\text{DM}} = 1.01 \times 10^{10} h^{-1} M_{\odot}, M_{\text{gas}} = 2.4 \times 10^9 h^{-1} M_{\odot}$

$z = 20.0$

dark matter density

gas density

gas temperature

kinetic SZ

thermal SZ

gas shocks

4 Mpc/h
|-----|

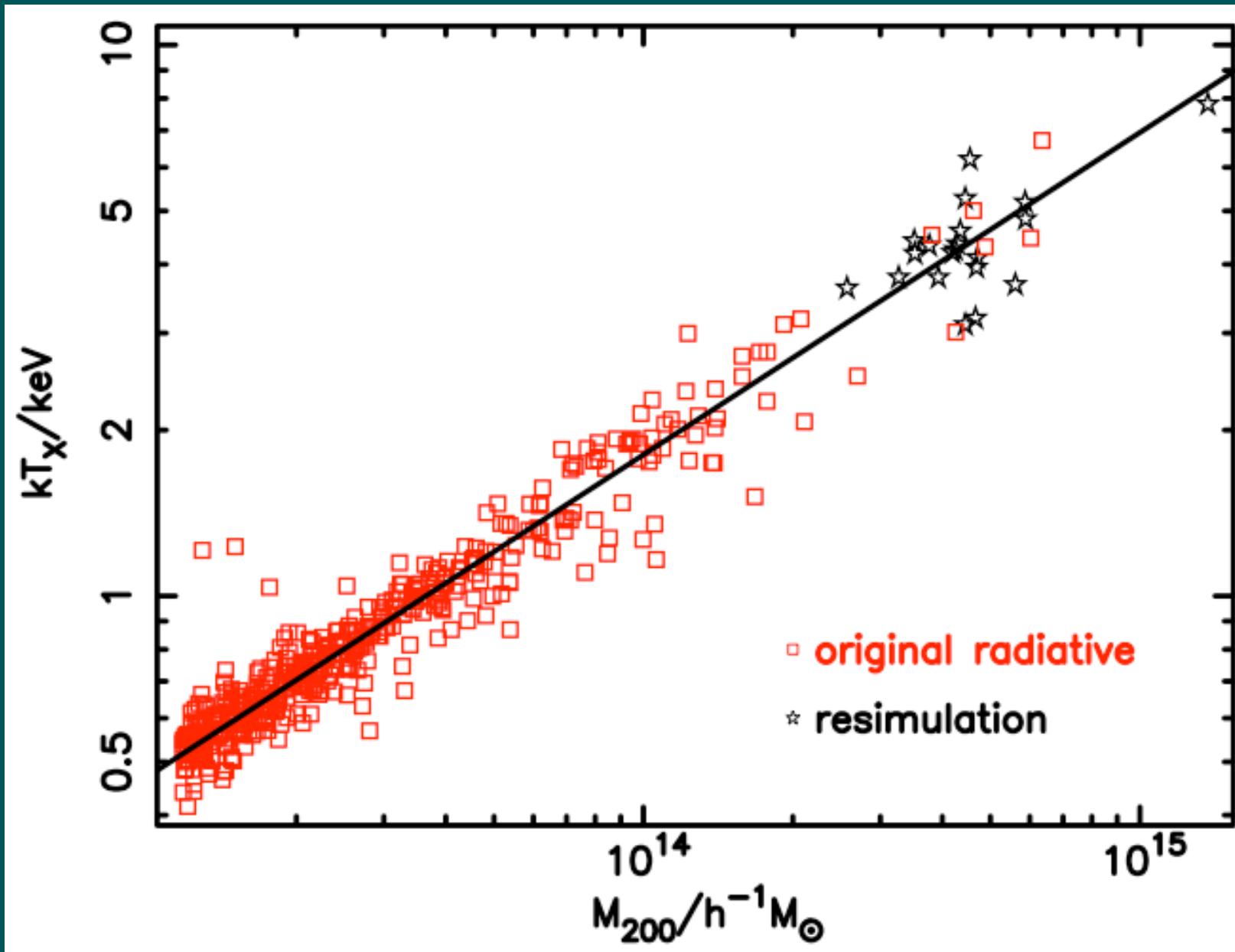
The growth of individual clusters

with
Scott Kay
David Rowley

The growth of individual clusters

- Resimulations
- $L=200h^{-1}\text{Mpc}$ box
- $N=160^3_{2.320^3}$
- $h=0.71, \omega=0.65, \omega_c=0.35, \omega_b=0.038$
- $M_{\text{DM}} = 2.1 \times 10^{10} h^{-1} M_{\odot}, M_{\text{gas}} = 2.5 \times 10^9 h^{-1} M_{\odot}$
- Radiative, $Z=0.3(t/t_0)Z_{\odot}$

Resimulated clusters



Growth of mass

— M_{vir}

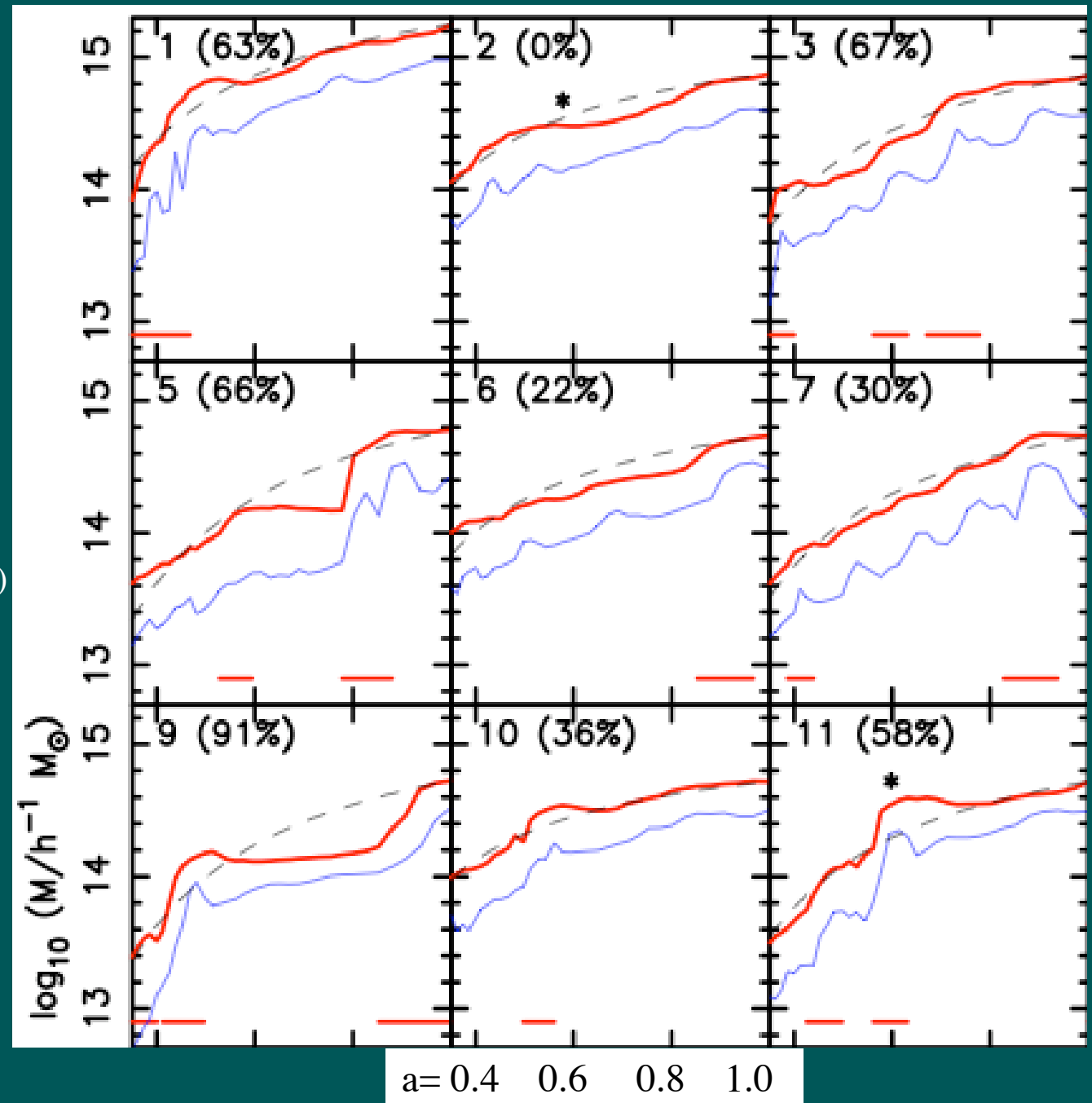
— M_{500}

Formation time
(Wechsler et al 2002)

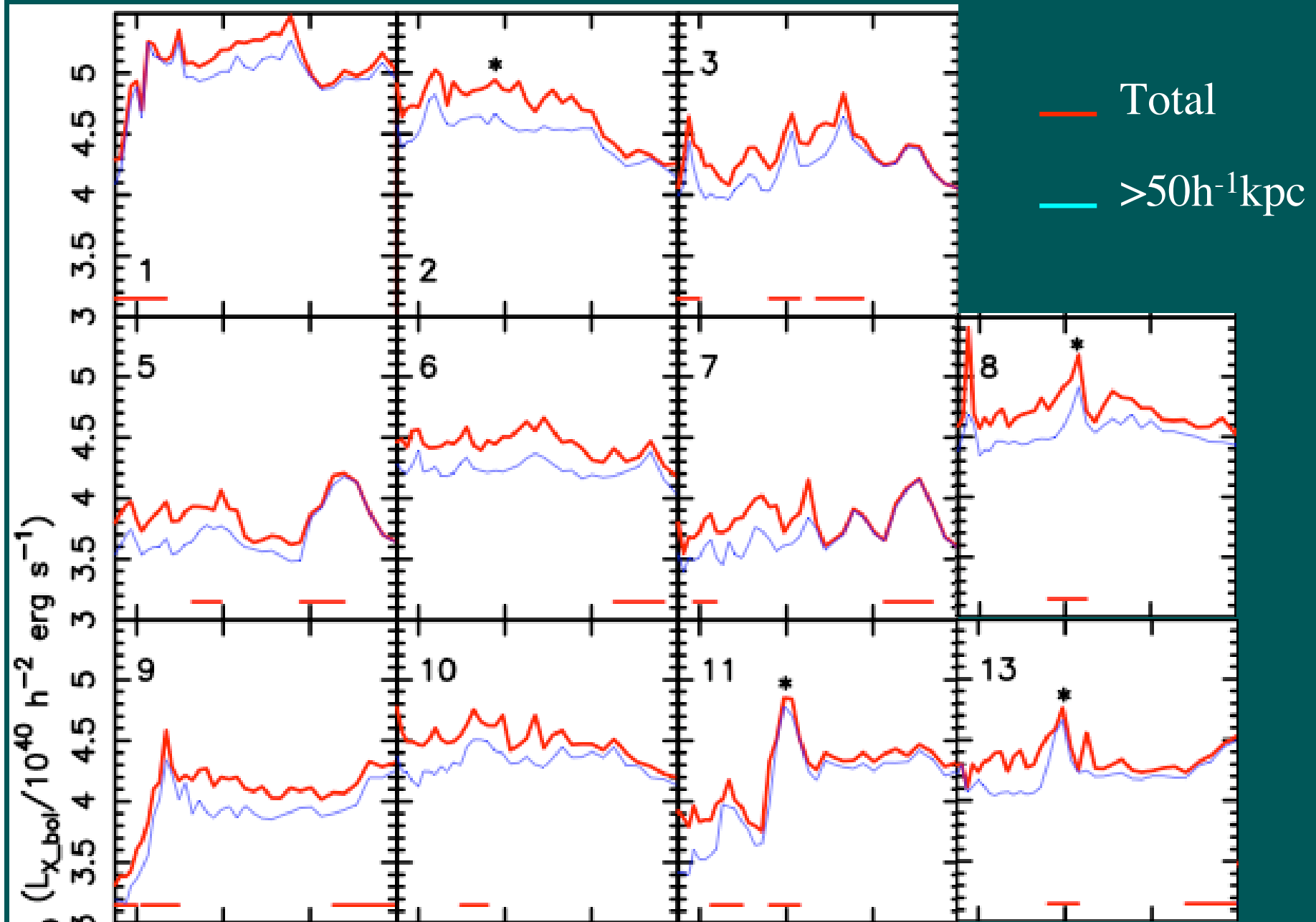
— $M = M_0 e^{2af(1-1/a)}$

Major mergers

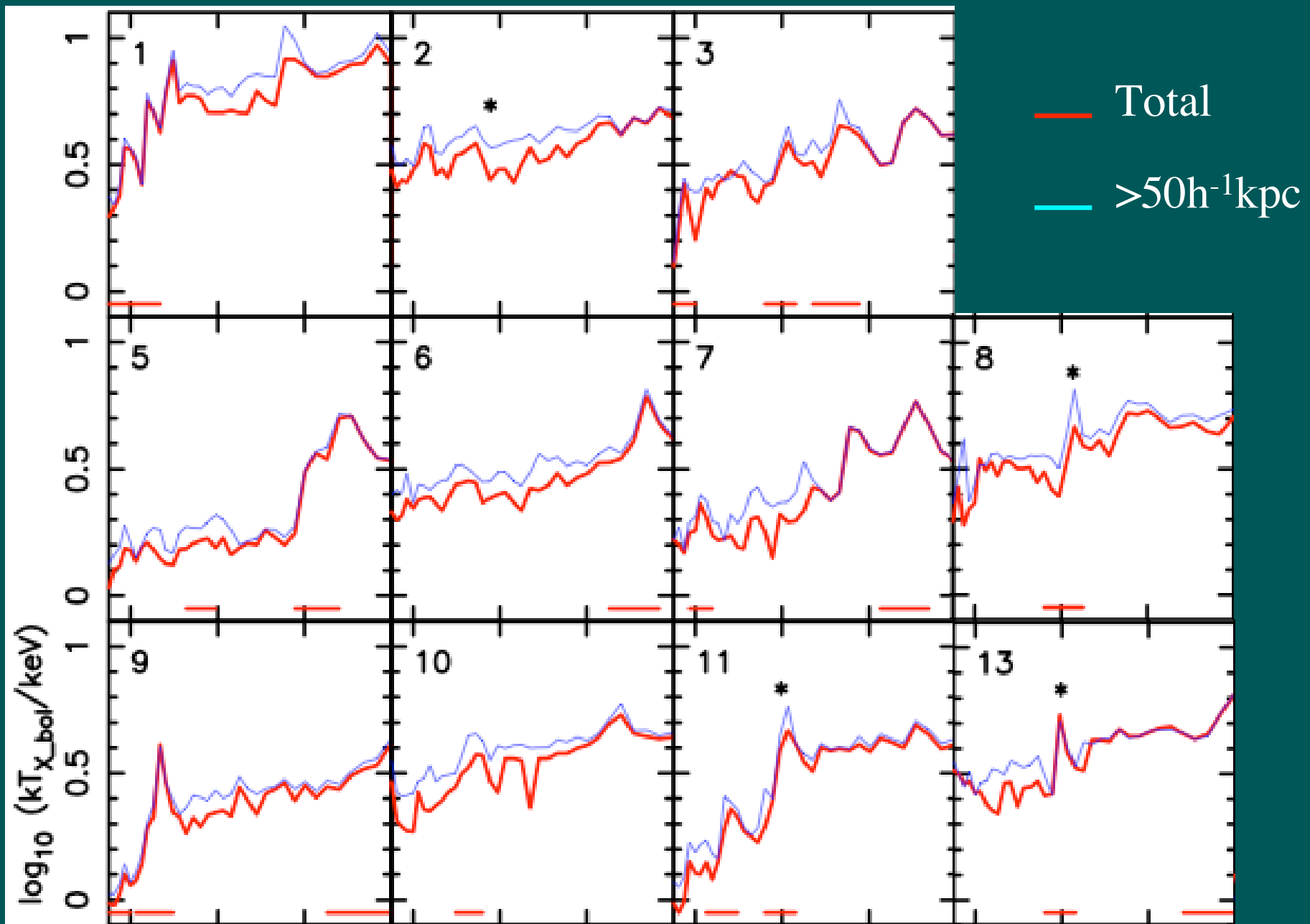
- \sim the mass
- \sim of the time



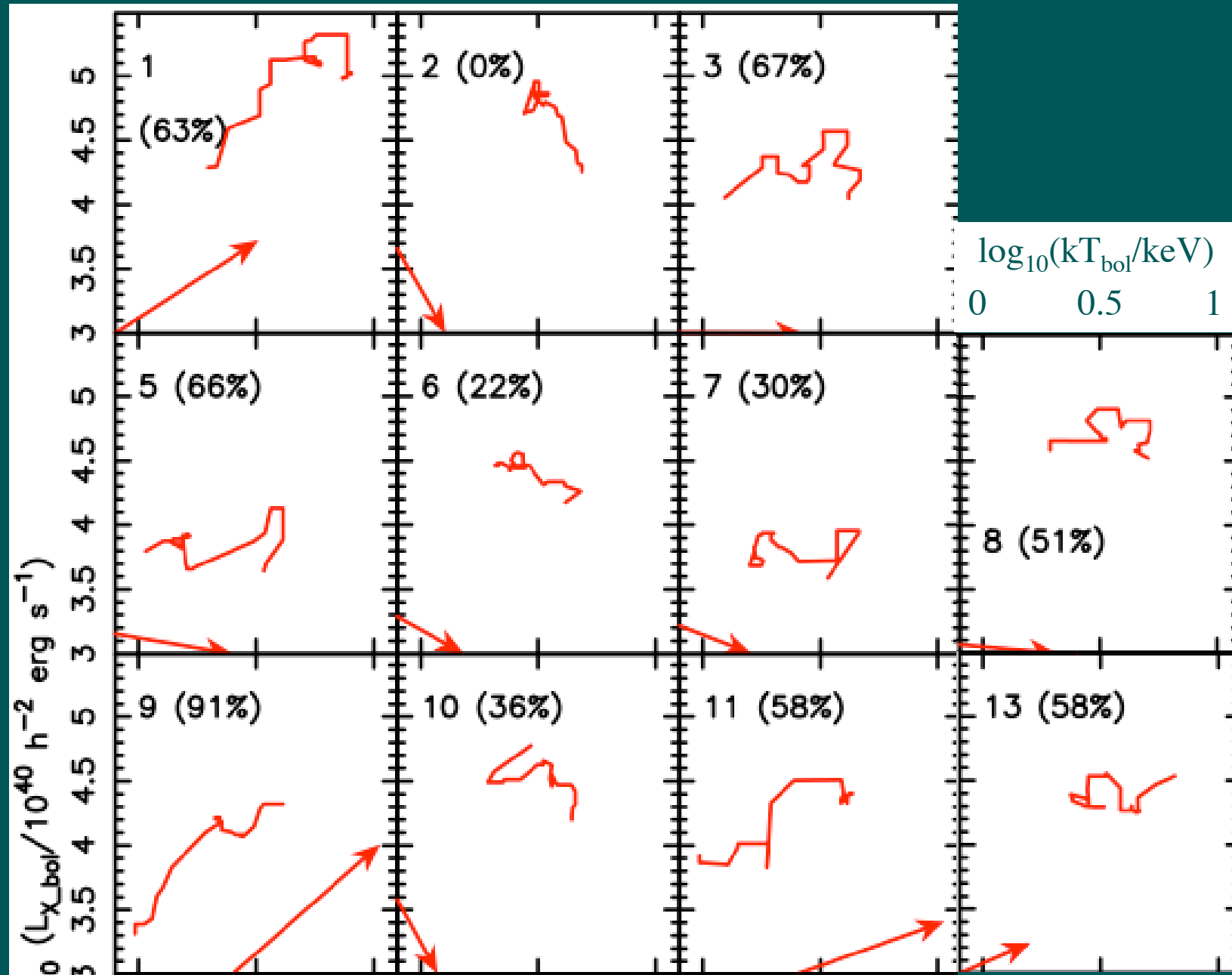
Bolometric luminosity



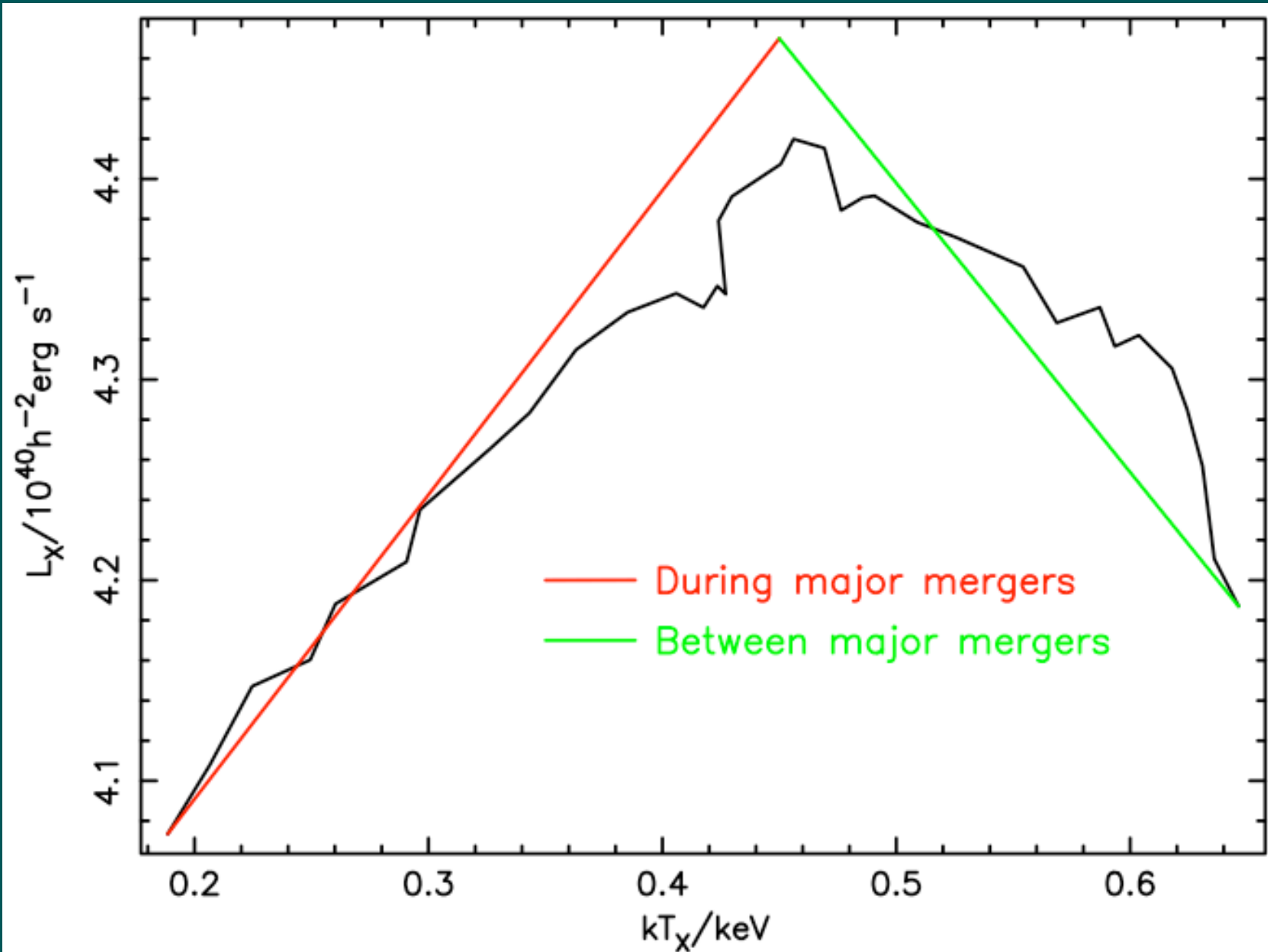
Bolometric temperature



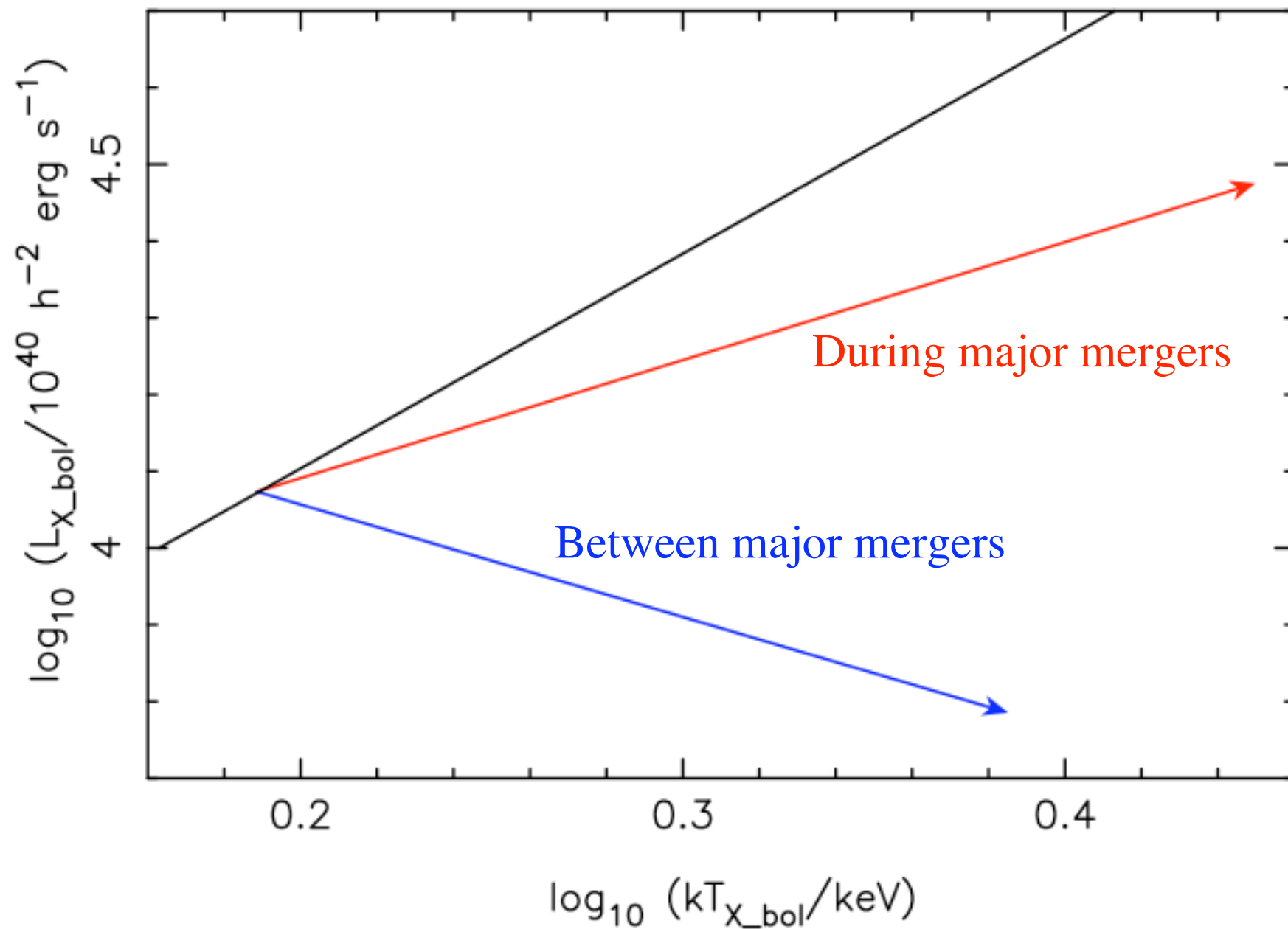
Luminosity-temperature evolution



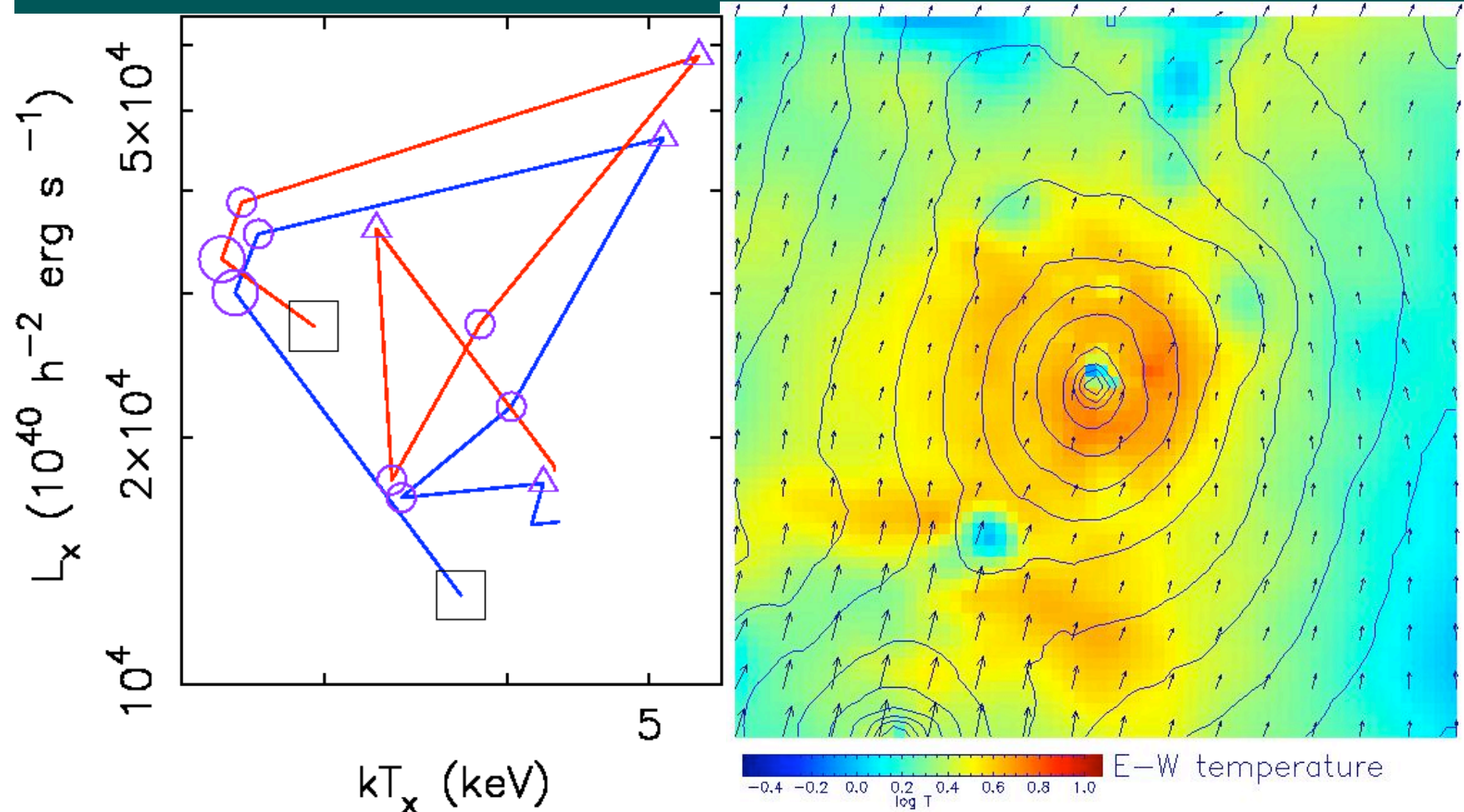
Drift over time of L_X - T_X



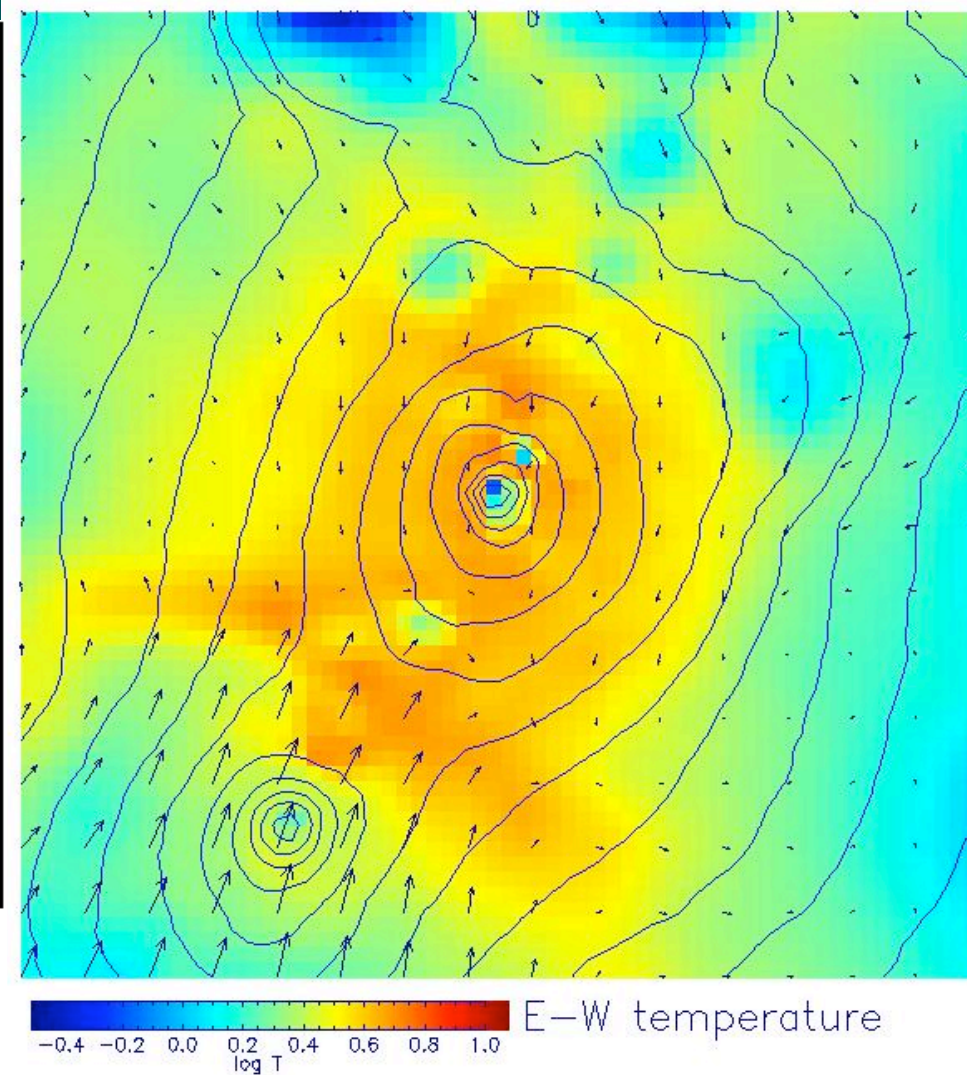
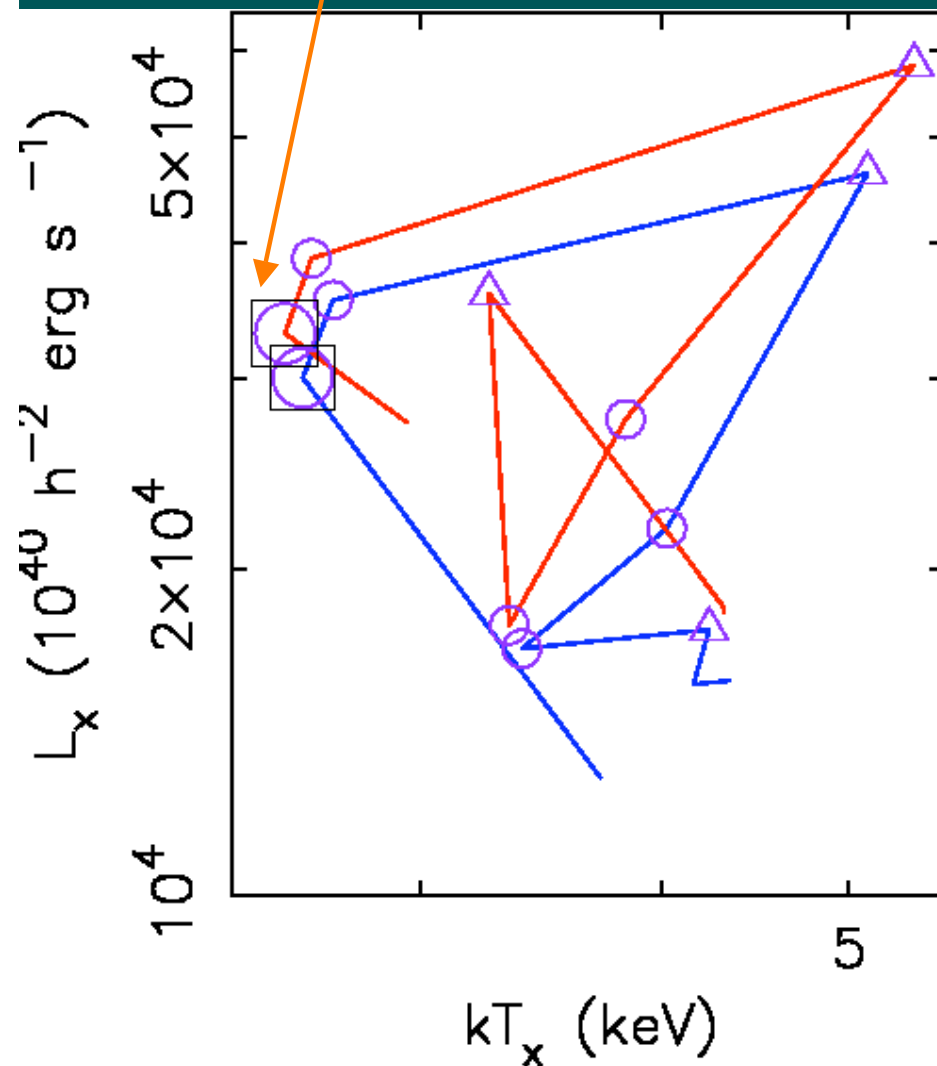
Drift of L_X - T_X relative to mean relation



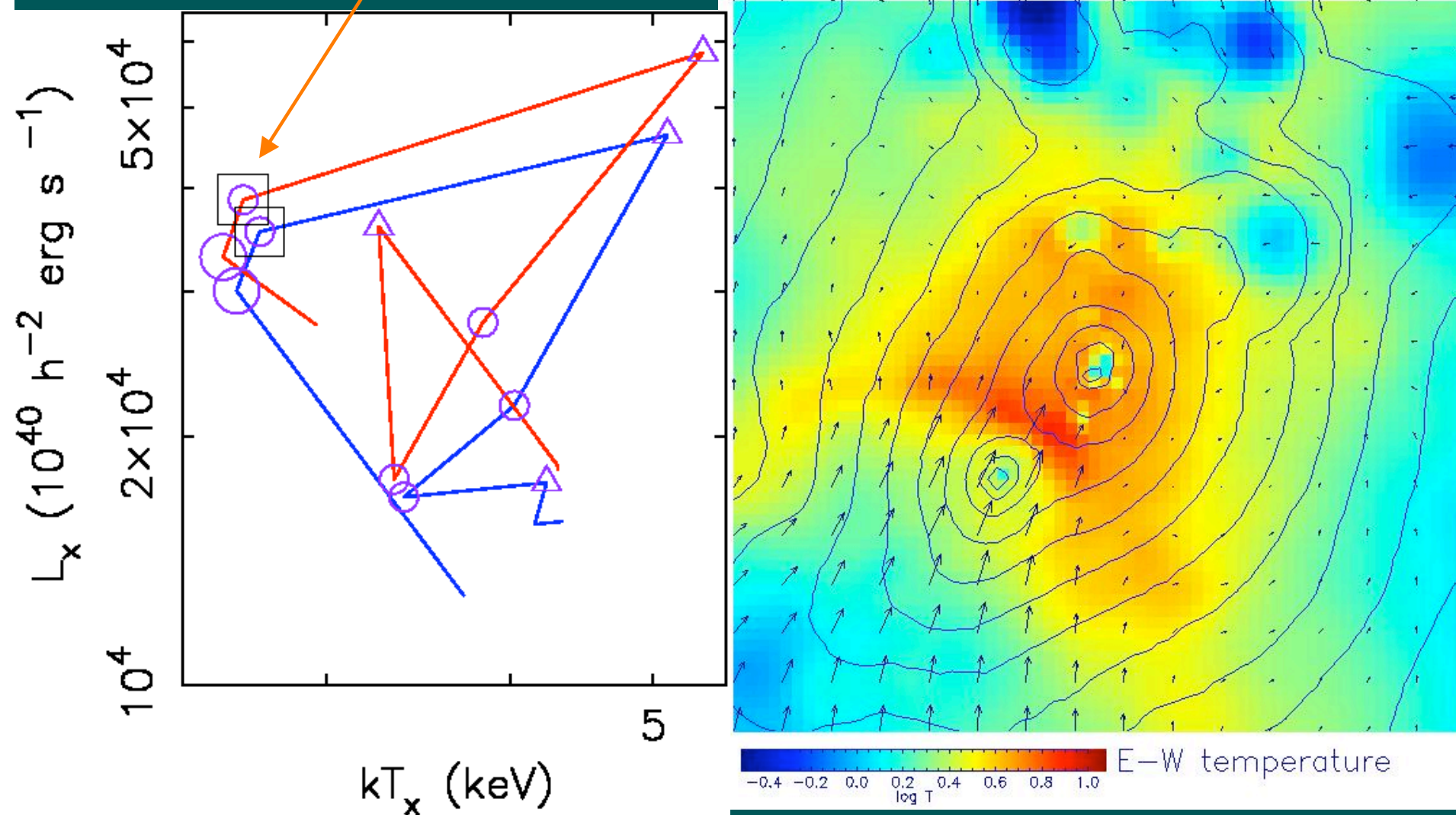
Example: double-peaked merger



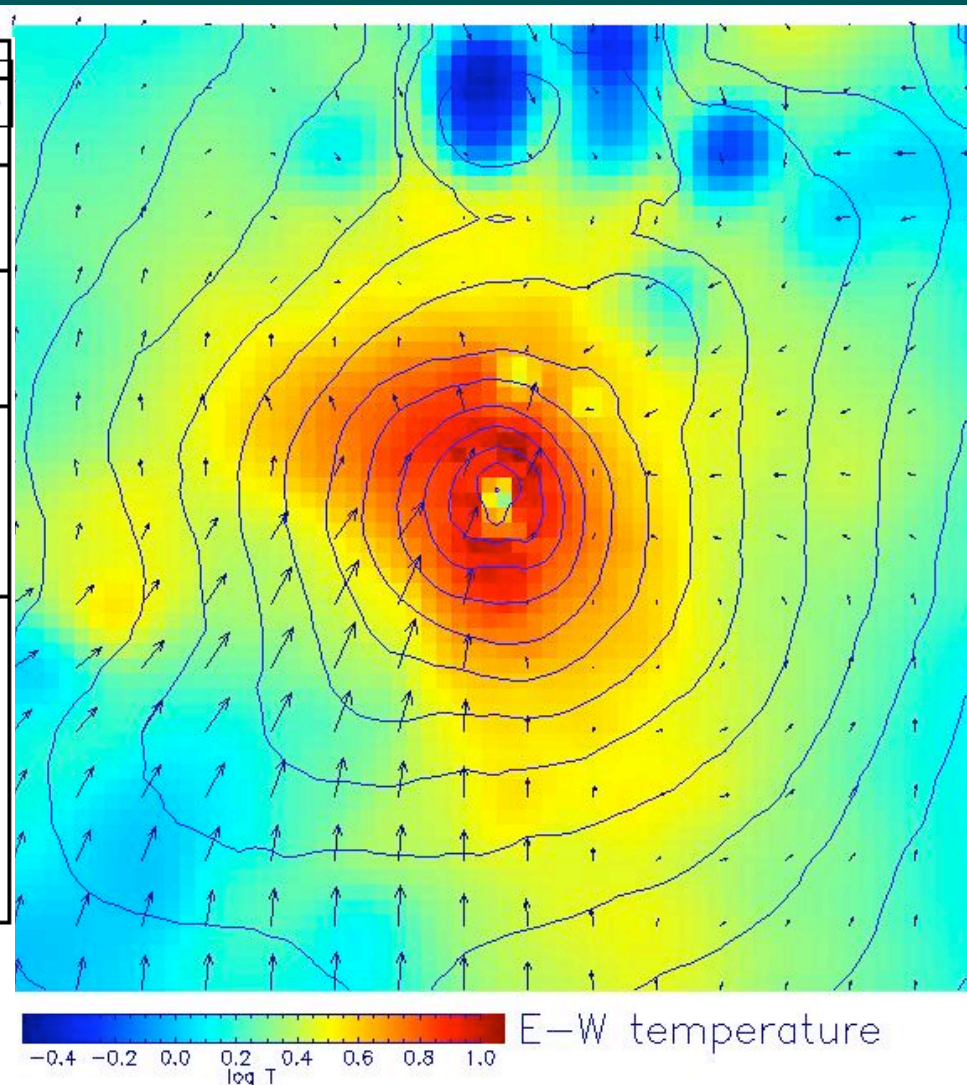
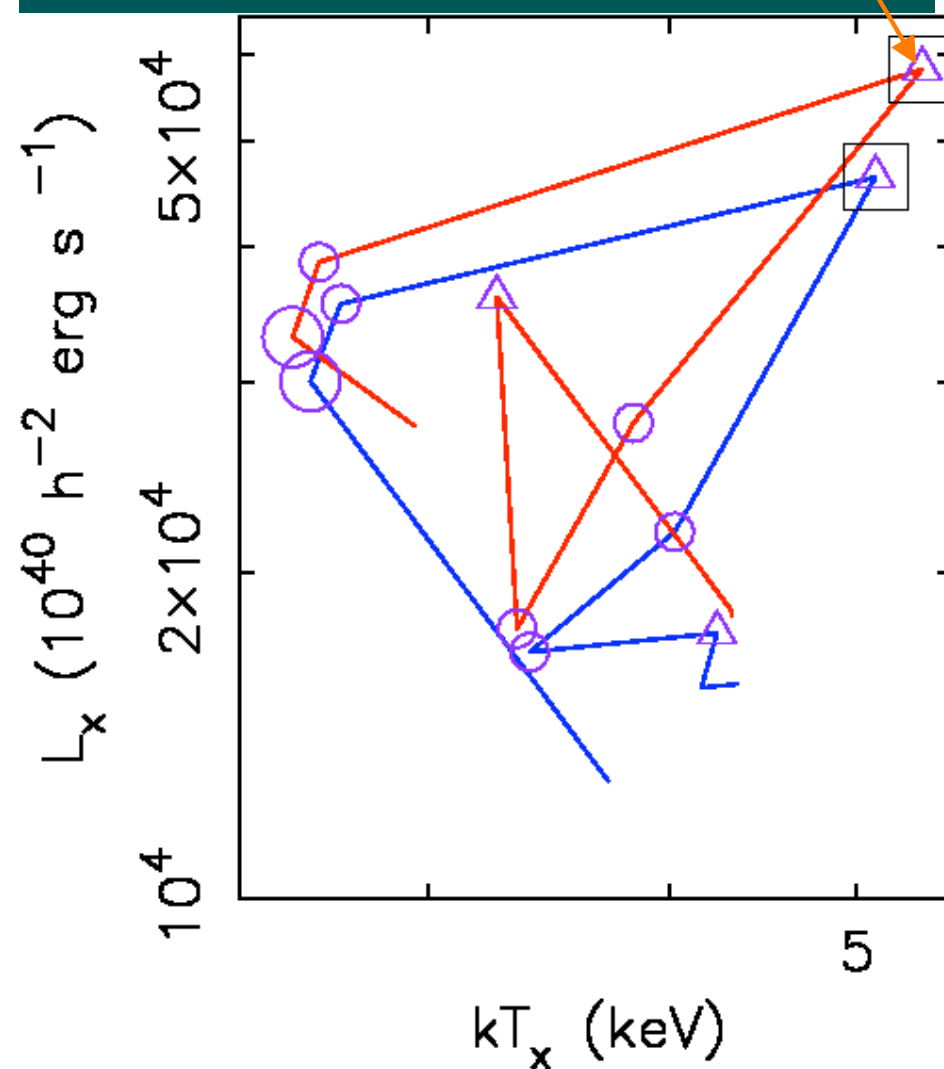
Here the cluster is an obvious binary

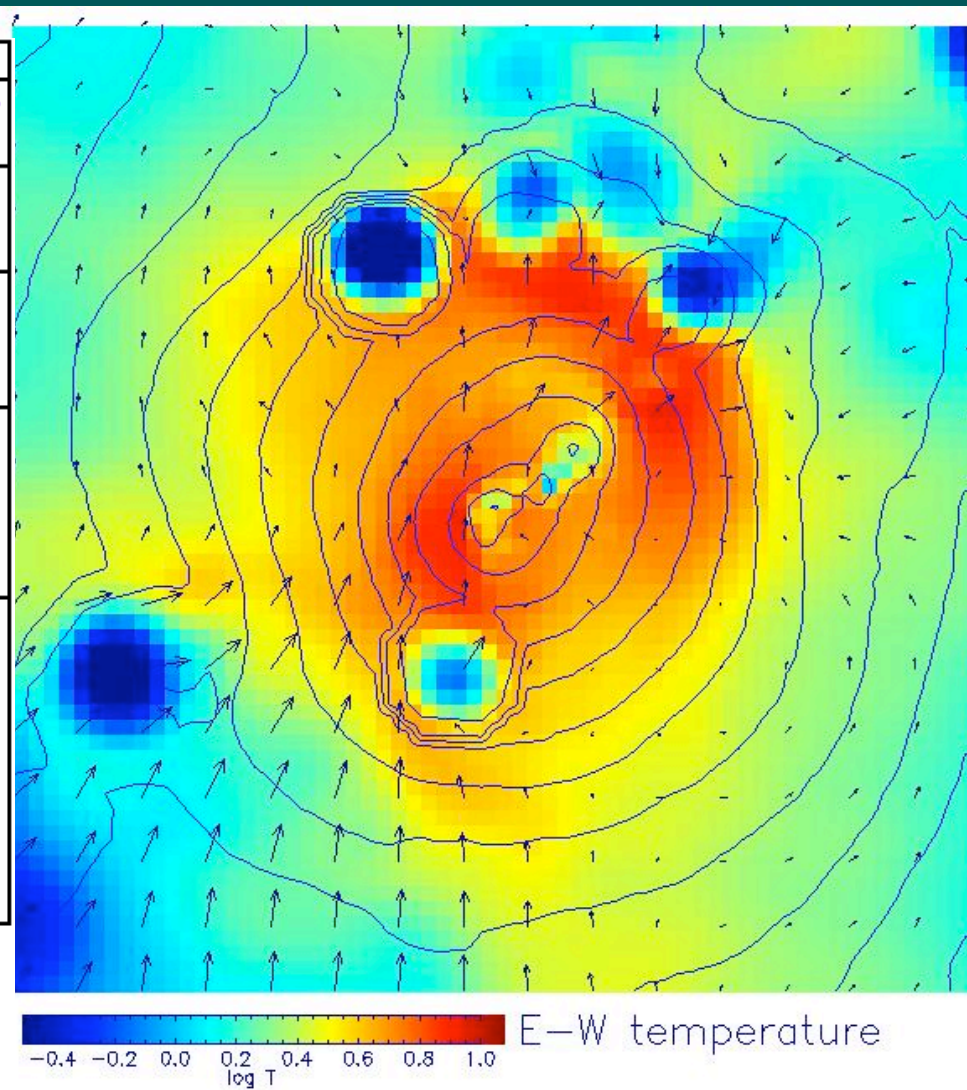
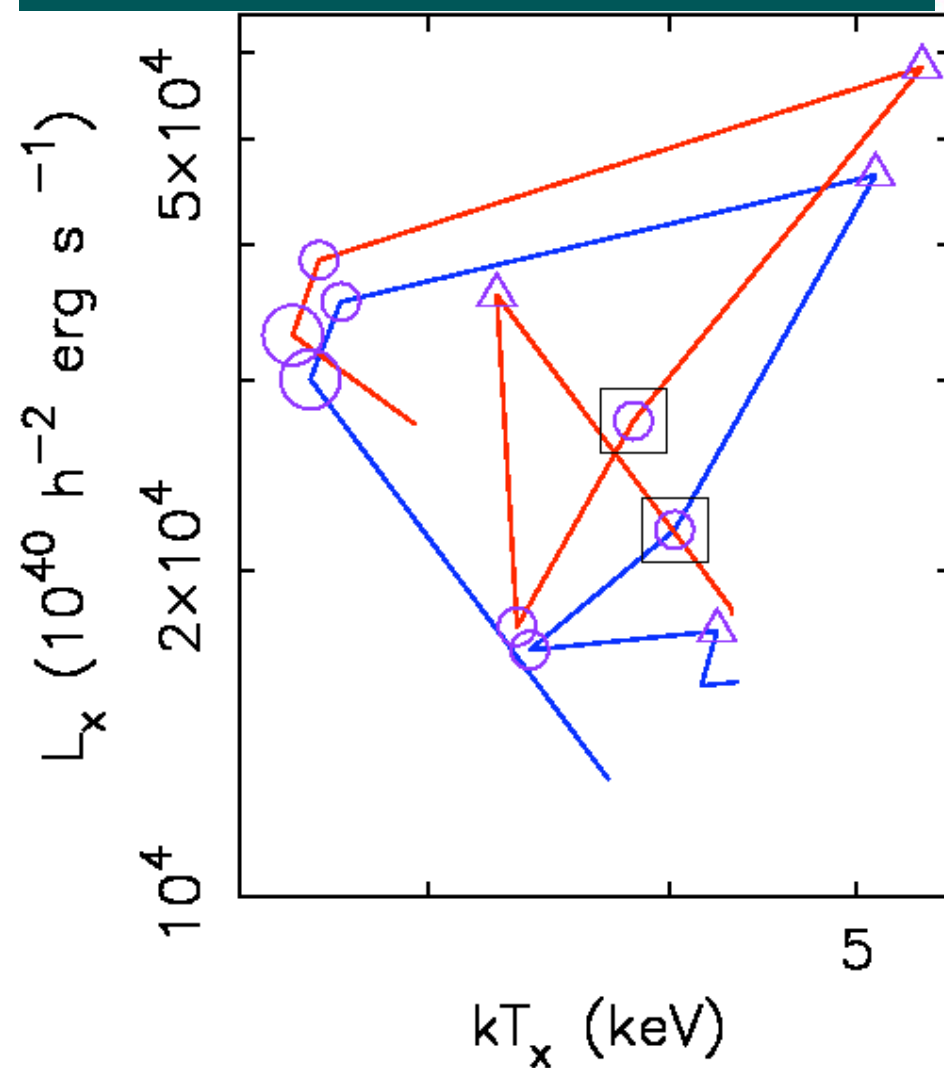


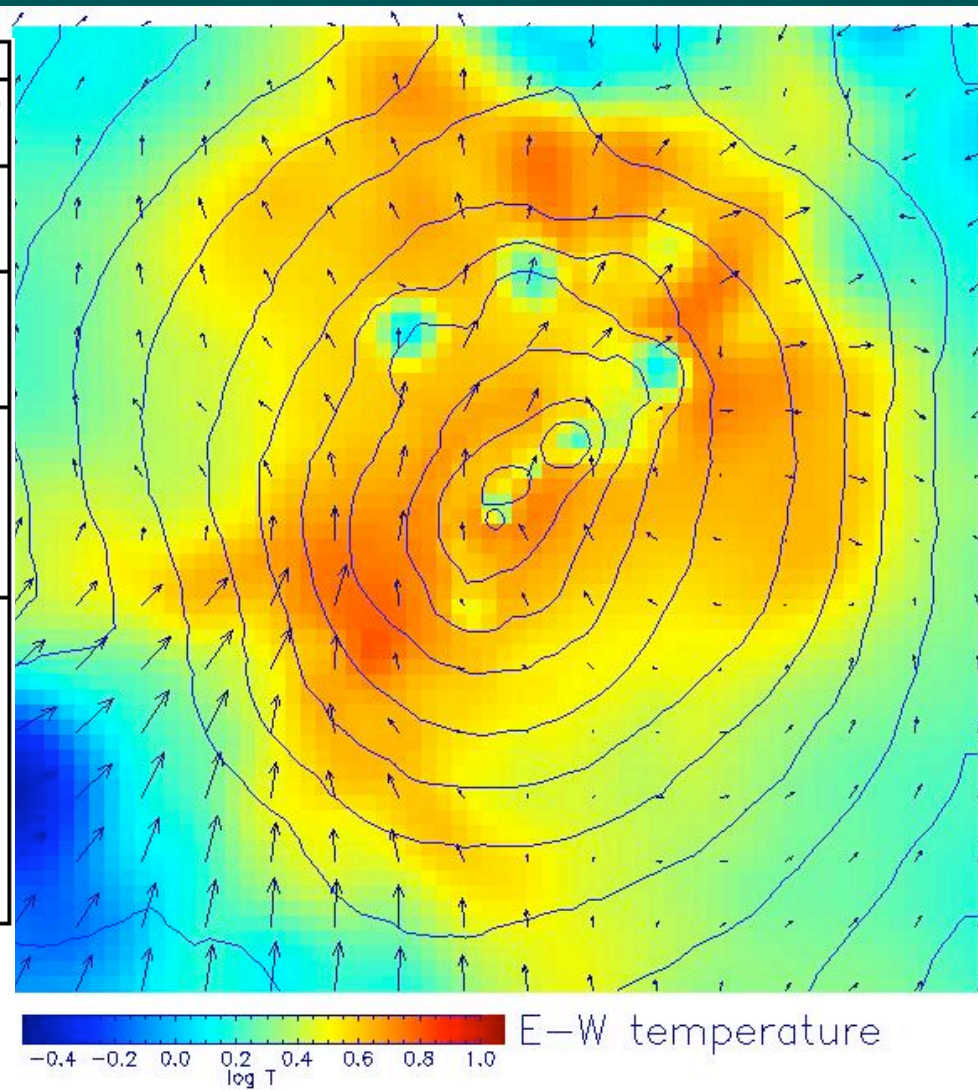
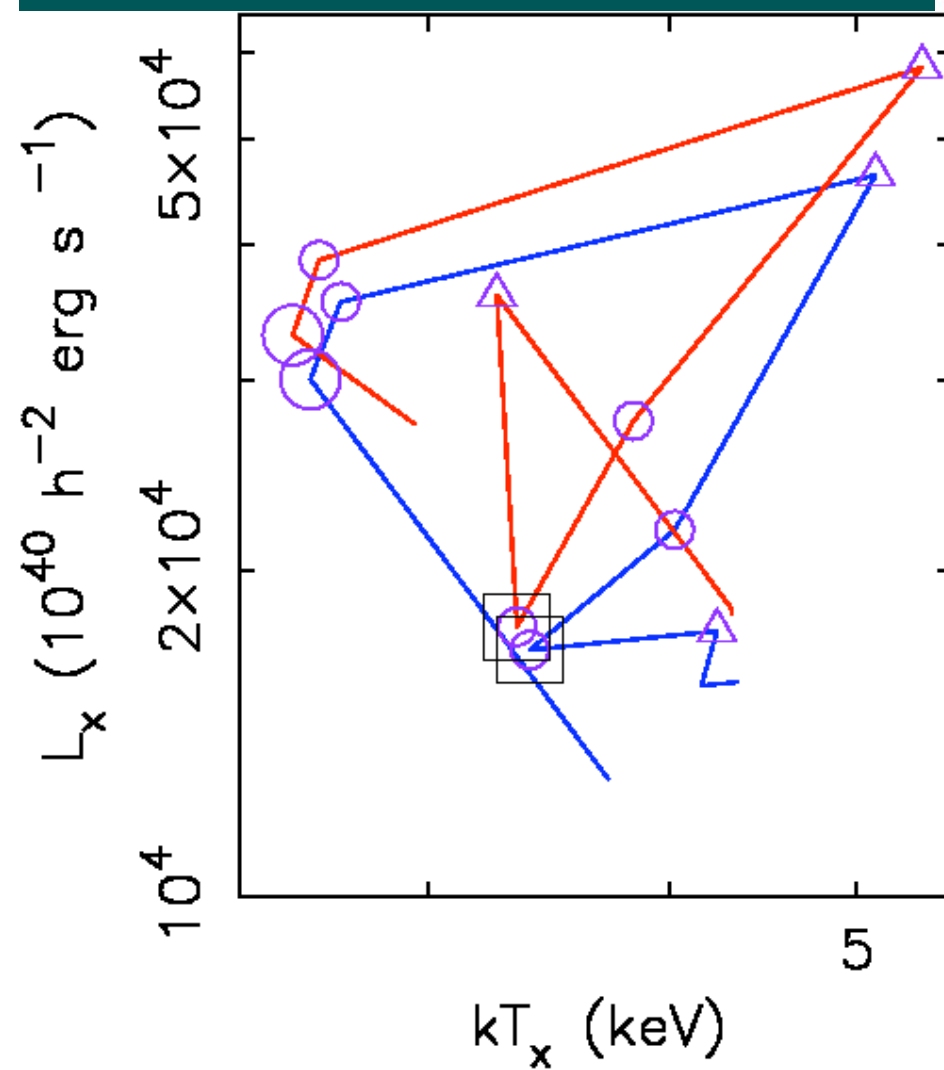
Here the cluster is an obvious binary



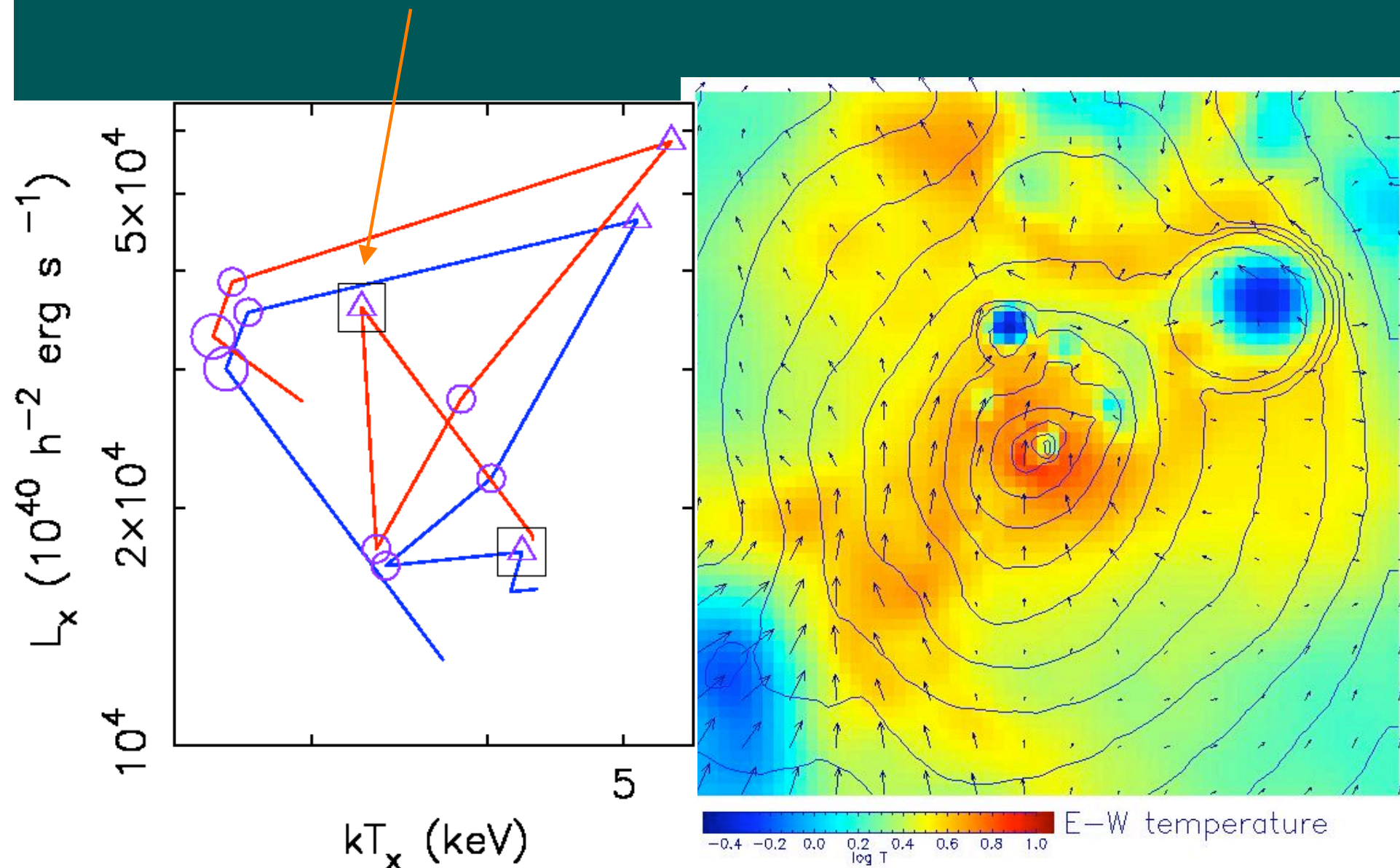
At its brightest the cluster is regular in appearance
and displaced parallel to the L-T relation

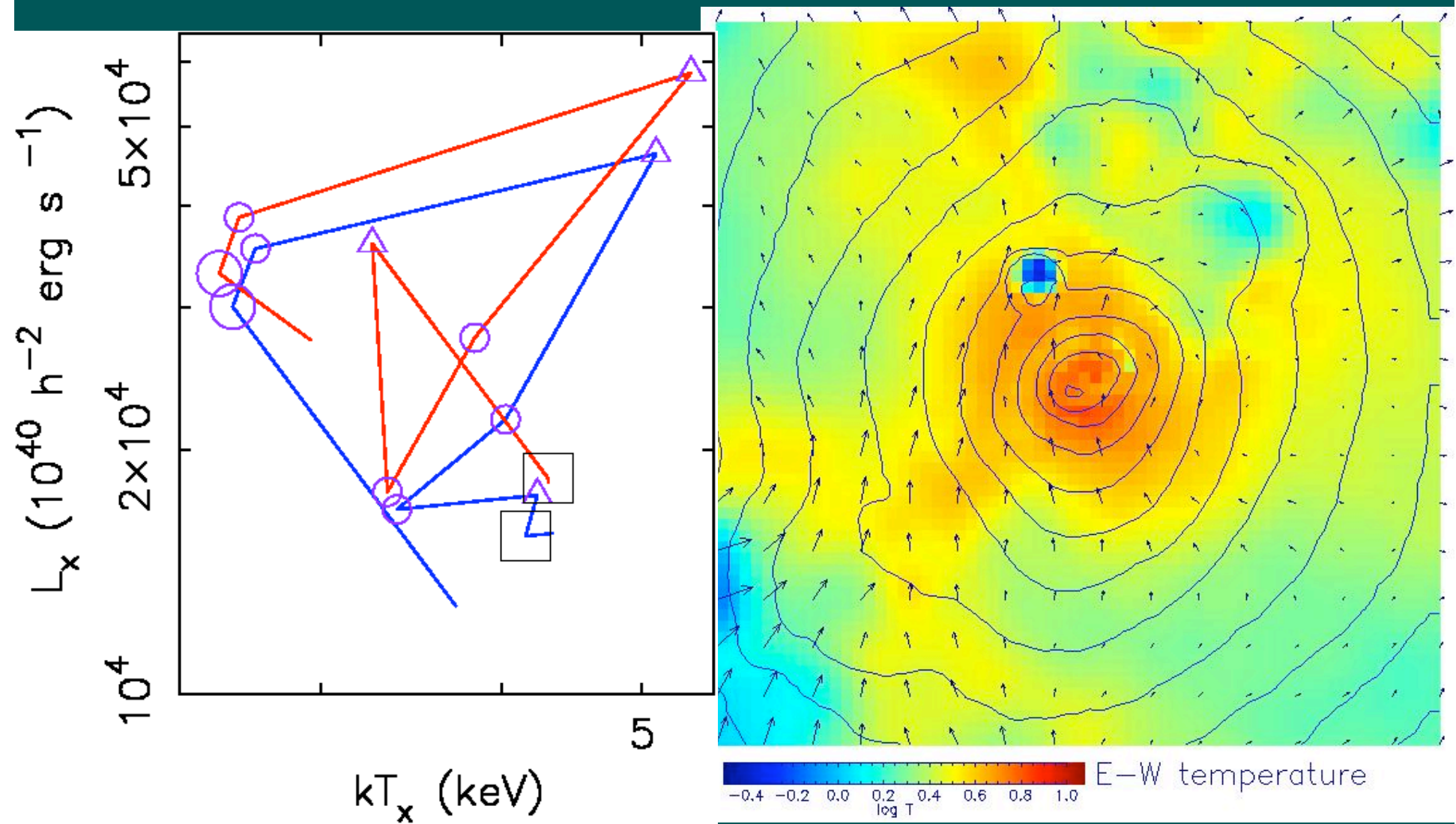


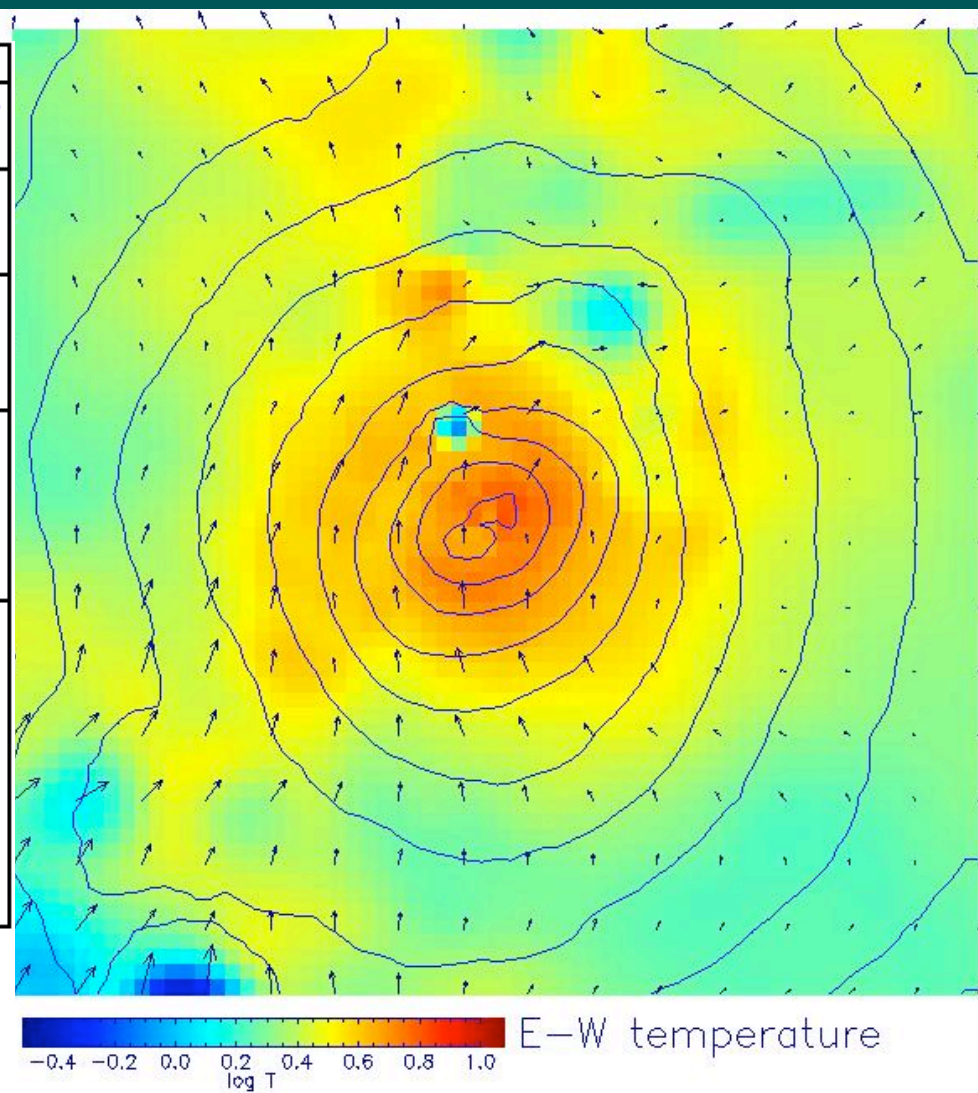
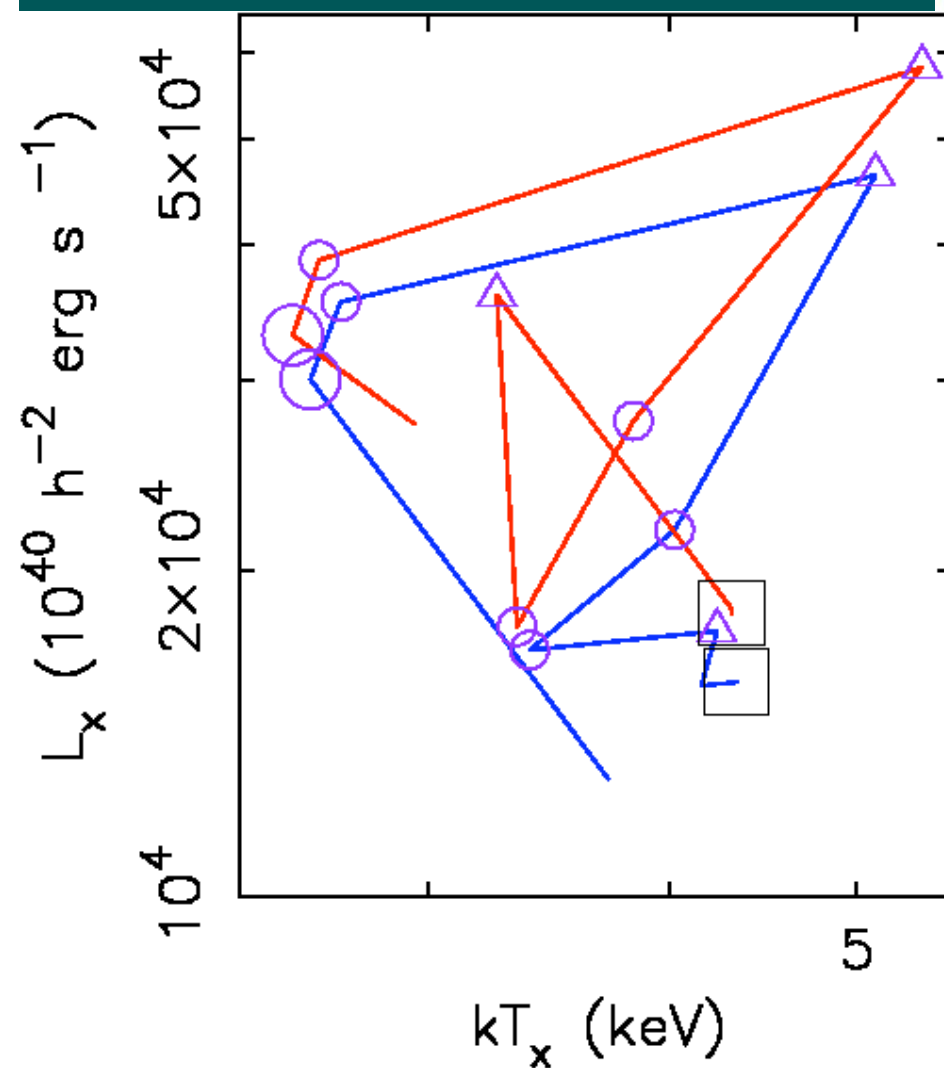




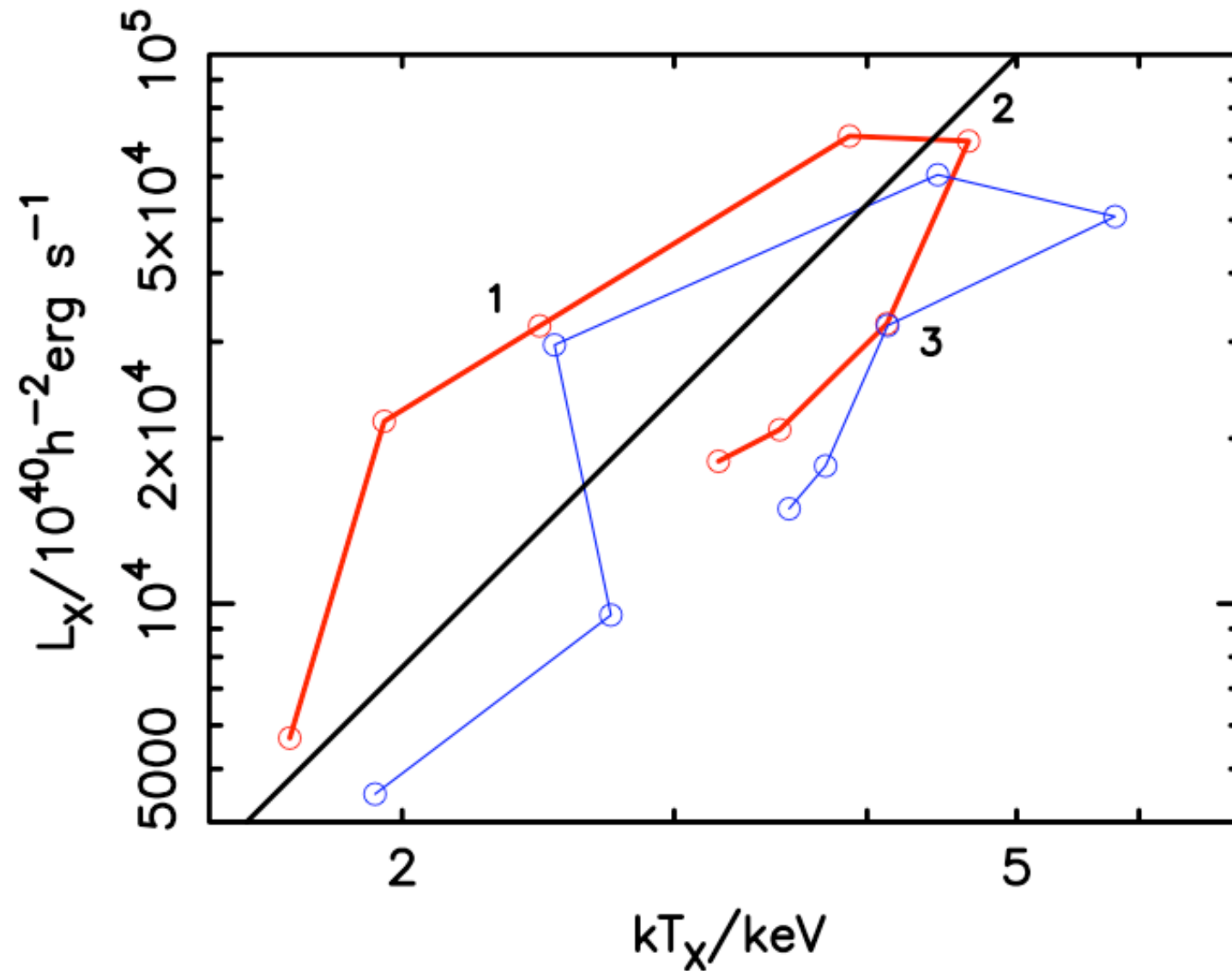
The cluster here is again bright and regular in appearance,
This time with a cool core—a cooling flow cluster.







Example: permanent jump in luminosity



Clusters grow both by smooth accretion and via major mergers.

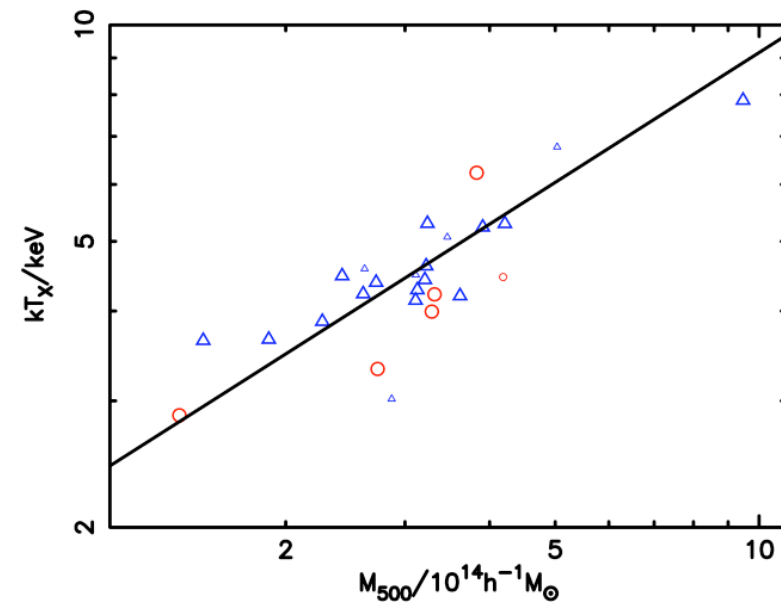
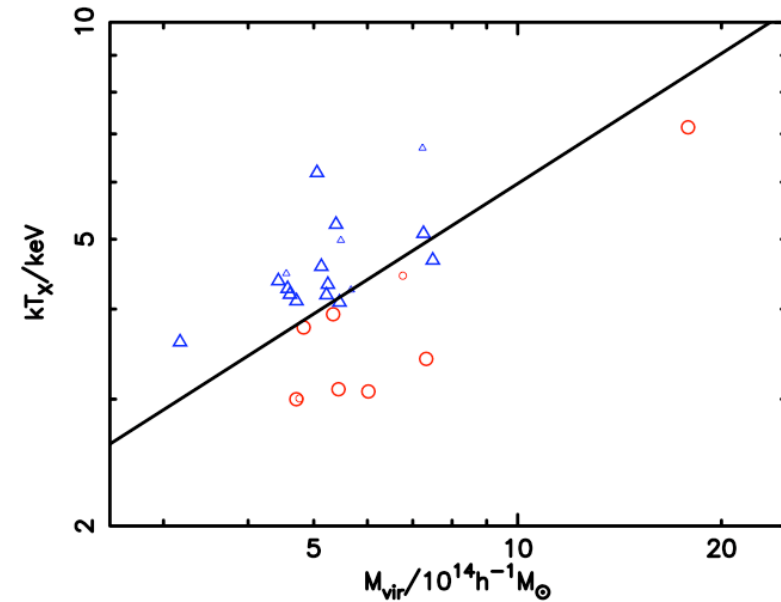
Major mergers tend to push the luminosity up the L_X - T_X relation. Between times the luminosity decreases, drifting with the mean L_X - T_X relation.

At the peak of the merger, the cluster often looks relaxed. Occasionally there is a second peak with a cool core making the cluster look instantaneously like a large cooling flow.

T_X -M relation

—is much tighter and less affected by substructure if properties are measured within R_{500} rather than R_{vir} .

Similarly for L_X -M and, to a lesser extent, L_X - T_X .



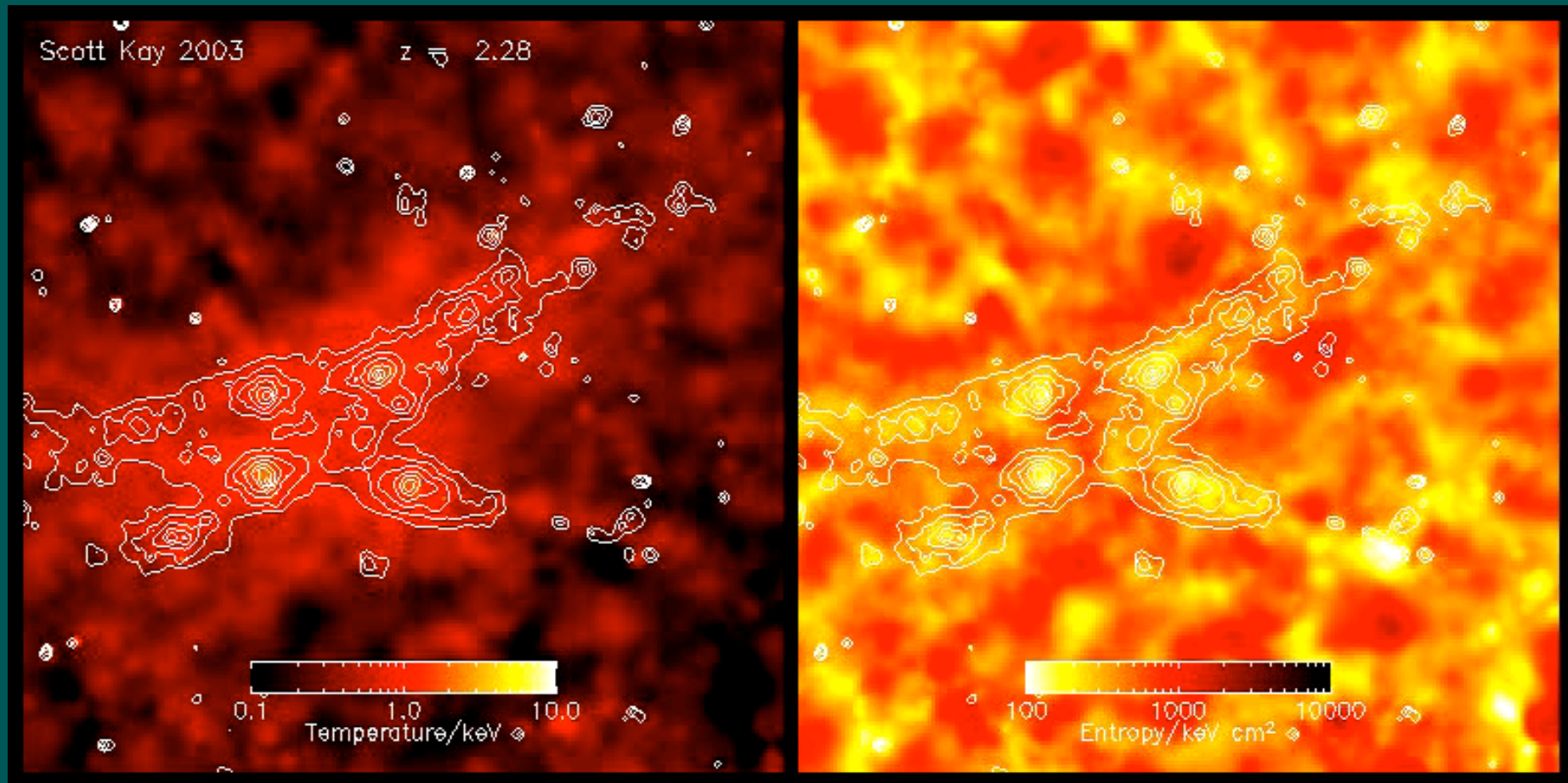
High-resolution resimulations of individual clusters

with
Adrian Jenkins
Scott Kay

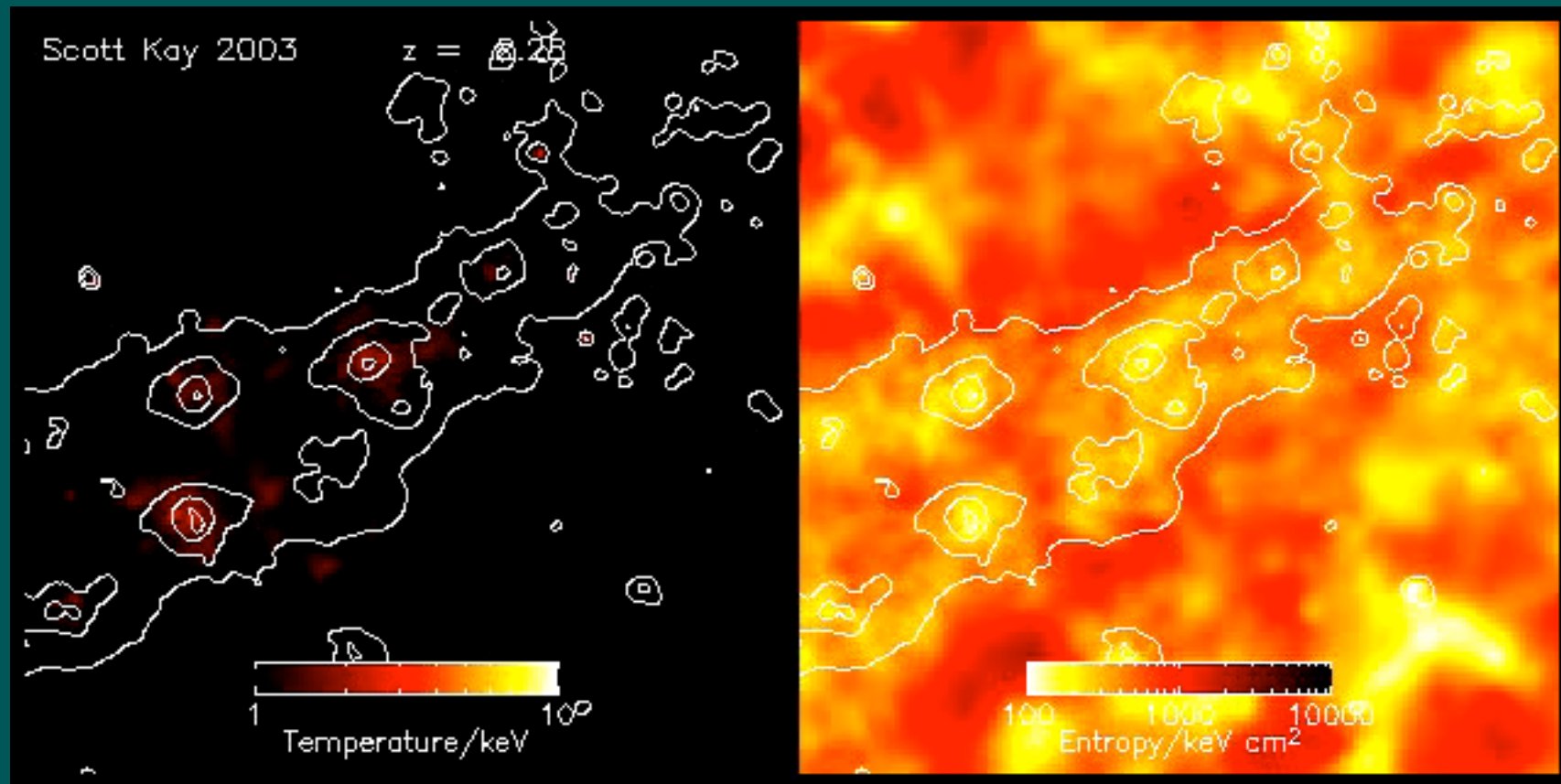
High-resolution resimulations of individual clusters

- High-resolution resimulations
- $L=479h^{-1}\text{Mpc}$ box
- $N=\text{variable}$
- $h=0.7$, $\Omega=0.7$, $\Omega_b=0.045$, $\sigma_8=0.9$, $\text{soft}=3h^{-1}\text{kpc}$
- $M_{\text{DM}} = 8.4 \times 10^8 h^{-1} M_{\odot}$, $M_{\text{gas}} = 1.5 \times 10^8 h^{-1} M_{\odot}$
- Feedback, $Z=0.3Z_{\odot}$, 10% of cooled particles given an entropy excess of 1000 keV cm^2

Temperature and entropy evolution



Temperature and entropy evolution



Clusters show a wide range of formation histories.

The evolution of the intracluster medium provides a strong probe of cluster physics.