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The quark-deconfinement model of Gamma-Ray-Bursts

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These are preliminary lecture notes, intended only for distribution to participants

The quark-deconfinement model of Gamma-Ray-Bursts

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Two main questions

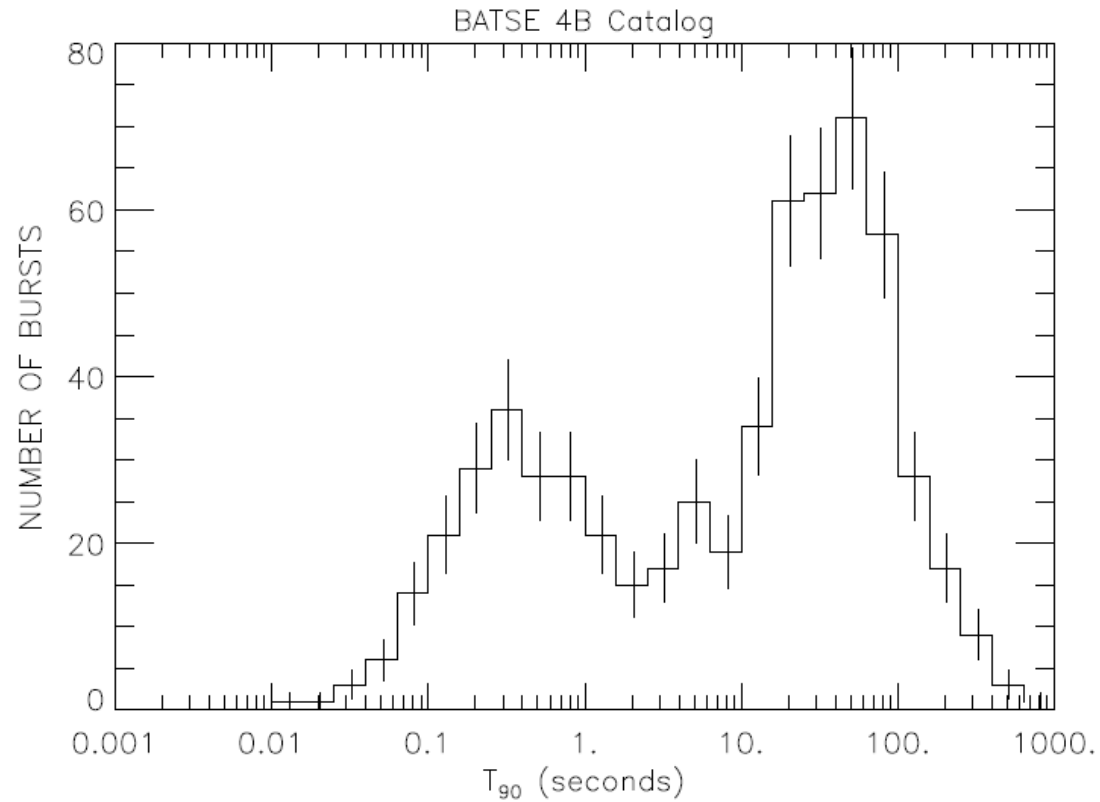
How the GRB develops from the underlying microphysics? (formation of a critical drop of Quark Matter, **expansion of the drop**, transfer of the released energy to gamma rays, ...)

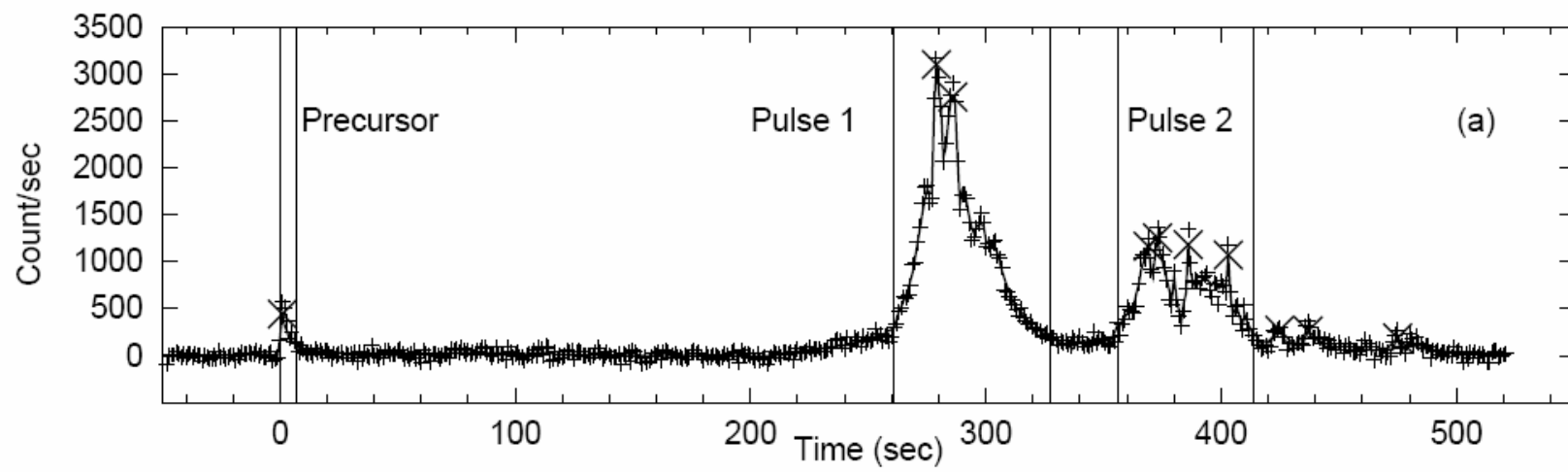
How the model compares with the observations? (**time structure**, energy released, expected number of the GRBs, ...)

A few features of GRBs

- Isotropic spatial distribution
- Cosmological distance
- Emitted energy: order of 10^{51} erg
(taking beaming into account)
- Duration: two classes, below and above 2s

Bimodal distribution of durations of BATSE GRBs





Hypernova model (Collapsars)

Rotating massive stars, whose central region collapses to a black hole surrounded by an accretion disk.

Outflows are collimated by passing through the stellar mantle.

- + Detailed numerical analysis of jet formation.
Fits naturally in a general scheme describing collapse of massive stars.
- Large angular momentum needed, difficult to achieve.

SN – GRB time delay: less than 100 s.

Hadronic Stars → Hybrid or Quark Stars

Z.Berezhiani, I.Bombaci, A.D., F.Frontera, A.Lavagno, ApJ586(2003)1250

Metastability due to delayed production of Quark Matter.

- 1) conversion to Quark Matter (it is NOT a detonation)
- 2) cooling (neutrino emission)
- 3) neutrino – antineutrino annihilation
- 4)(possible) beaming due to strong magnetic field and star rotation

+ Fits naturally into a scheme describing QM production.

Energy and duration of the GRB are OK.

- No calculation of beam formation, yet.

SN – GRB time delay: minutes → years
depending on mass accretion rate

RMF EOS with hyperons and quarks

$B=(155 \text{ MeV})^4$

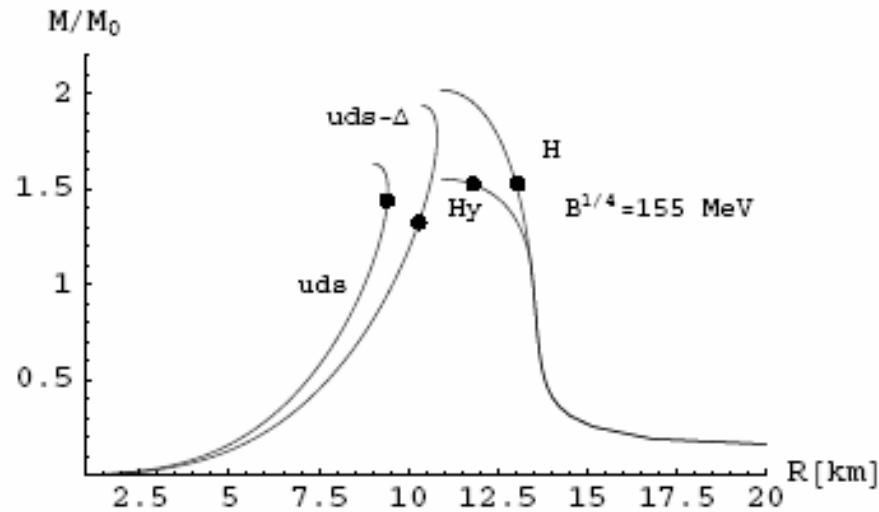


Fig. 7.— Mass-radius relations of nucleonic stars (H), hyperonic stars (Hy), quark stars made of unpaired quark matter (uds) and of color superconducting CFL phase (uds- Δ). The dots indicate stars whose baryonic mass is $M_B = 1.7 M_\odot$. Here $B^{1/4} = 155 \text{ MeV}$.

RMF EOS with hyperons and quarks

$B=(165 \text{ MeV})^4$

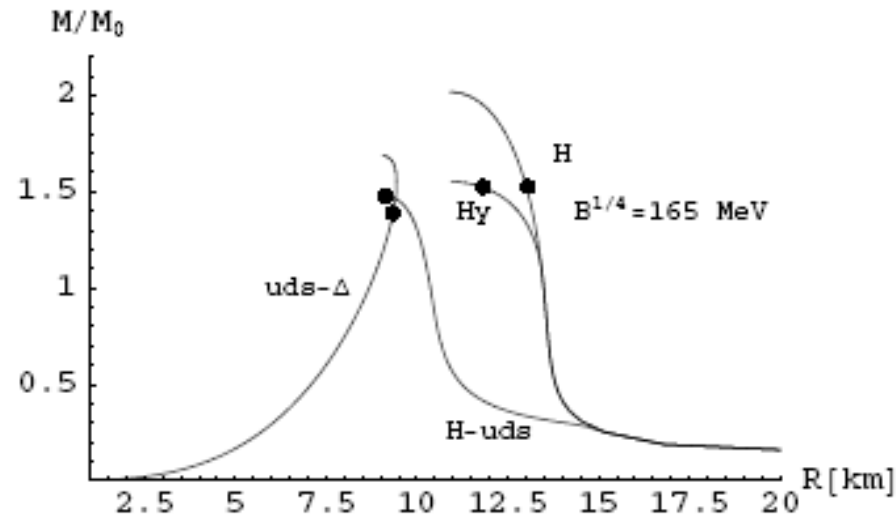


Fig. 8.— Mass-radius relations of nucleonic stars (H), hyperonic stars (Hy), hybrid stars made of hadrons and of unpaired quark matter (H-uds) and quark stars made of color superconducting CFL phase (uds- Δ). The dots indicate stars whose baryonic mass is $M_B = 1.7 M_\odot$. Here $B^{1/4} = 165 \text{ MeV}$.

QM formation after deleptonization and cooling

Pons et al. PRL 86 (2001) 5223

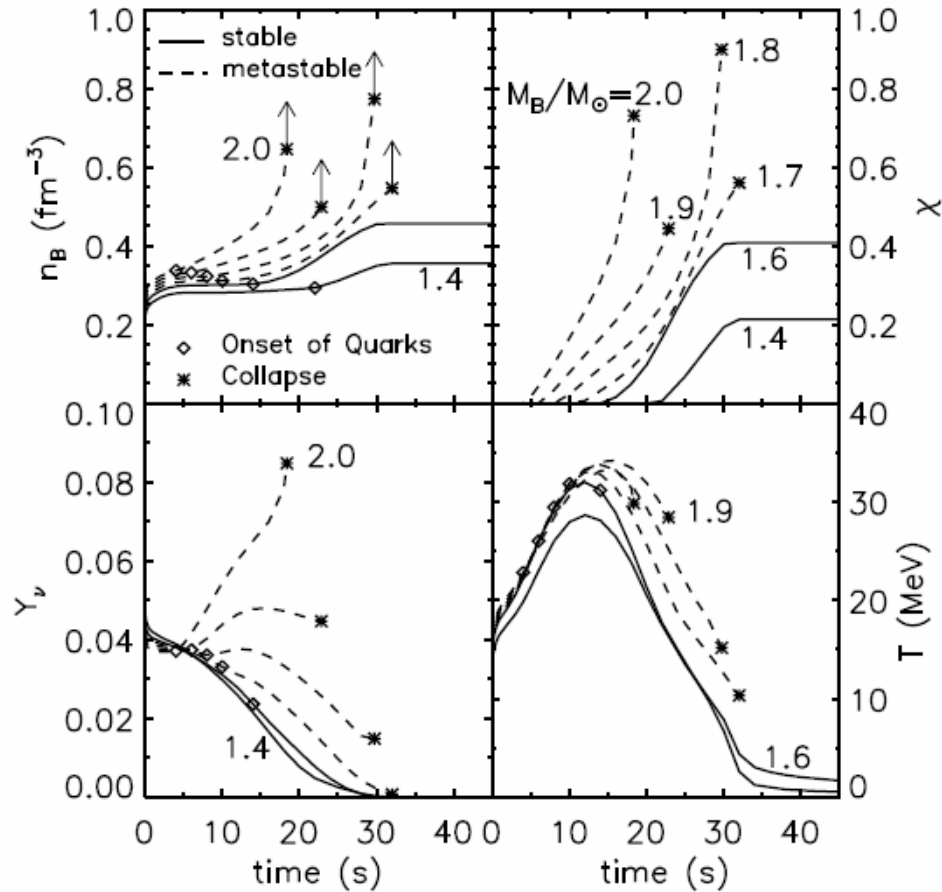


FIG. 1. Evolutions of the central baryon density n_B , ν concentration Y_ν , quark volume fraction χ and temperature T for different baryonic masses M_B . Solid lines correspond to stable stars; stars with larger masses are metastable (dashed lines). Diamonds indicate when quarks appear at the star's center, and asterisks denote when metastable stars become gravitationally unstable.

Quantum nucleation

I.M. Lifshitz and Y. Kagan, *Sov. Phys. JETP* 35 (1972) 206
K. Iida and K. Sato, *Phys. Rev. C* 58 (1998) 2538

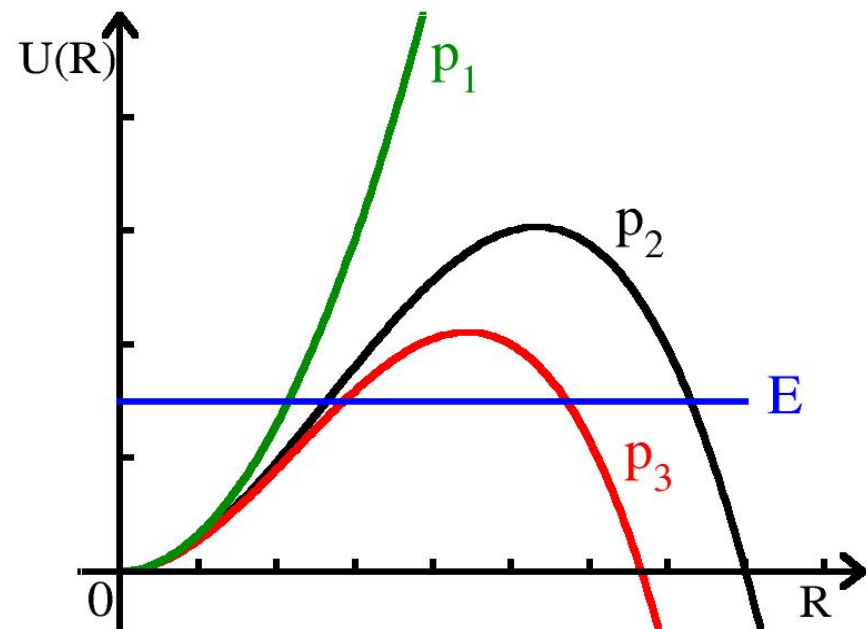
Droplet potential energy:

$$U(\mathbf{R}) = \frac{4}{3} \pi n_{Q^*} (\mu_{Q^*} - \mu_H) \mathbf{R}^3 + 4\pi\sigma \mathbf{R}^2 = a_v \mathbf{R}^3 + a_s \mathbf{R}^2$$

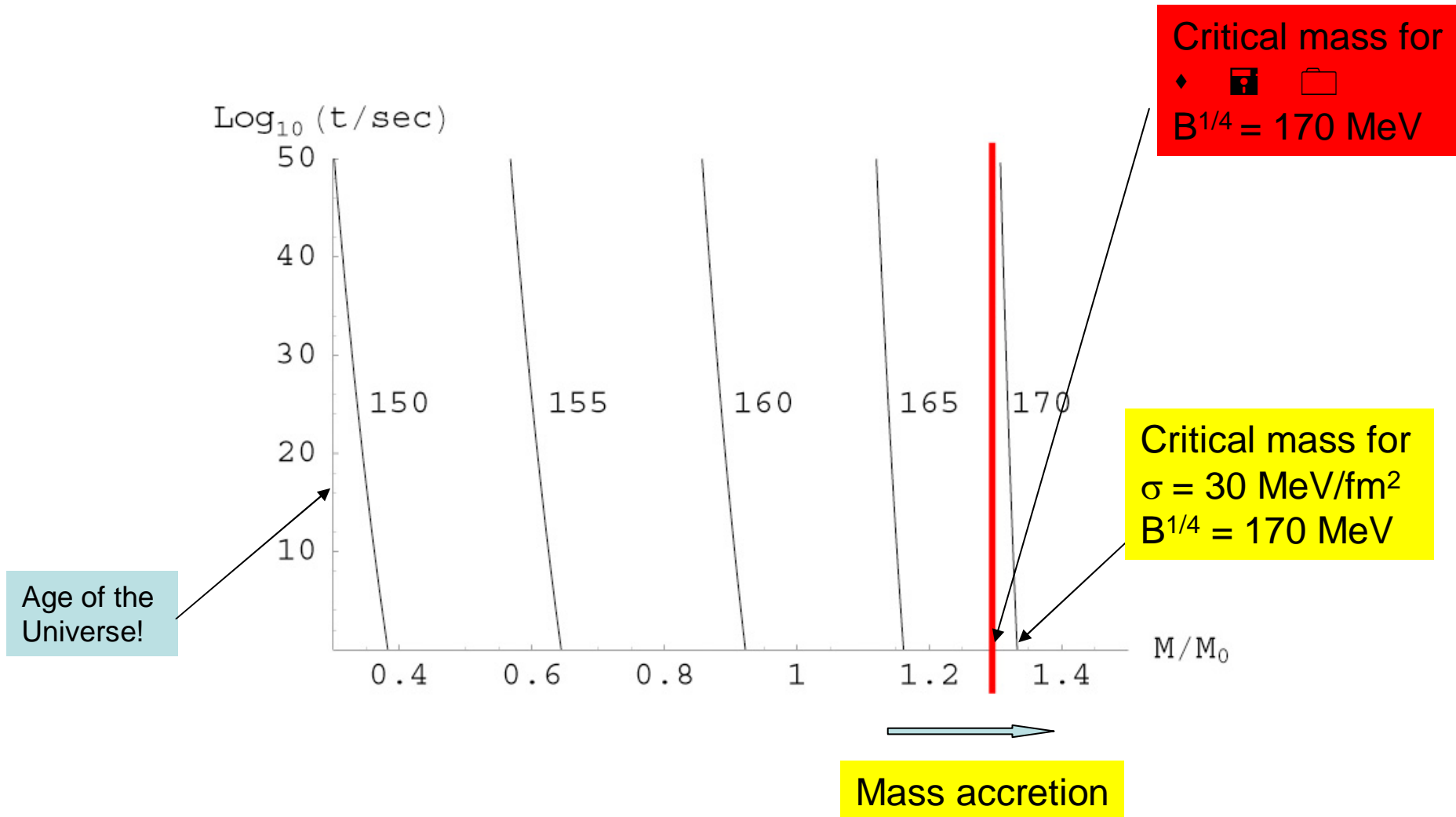
n_{Q^*} baryonic number density
in the Q^* -phase at a
fixed pressure P .

μ_{Q^*}, μ_H chemical potentials
at a fixed pressure P .

σ surface tension
(=10,30 MeV/fm²)



Quark droplet nucleation time “mass filtering”



Energy released in the HS→HyS(QS) conversion

A.D., A.Lavagno, G.Pagliara, PRD69(2004)057505

CFL gaps

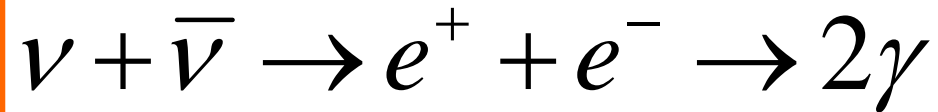
Hadronic Model	$B^{1/4}$ [MeV]	σ [MeV/fm ²]	M_{cr}/M_{\odot}	ΔE $\Delta = 0$	ΔE Δ_1	ΔE Δ_2	ΔE Δ_3	ΔE Δ_4
GM3	170	10	1.12	18	52	57	86	178 [•]
GM3	170	20	1.25	30	66	72	106	205 [•]
GM3	170	30	1.33	34	75	81	120	221 [•]
GM3	170	40	1.39	38	82	88	131	234 [•]
GM3	180	10	1.47	BH	35	38	BH	–
GM3	180	20	1.50	BH	38	40	BH	–
GM3	180	30	1.52	BH	40	42	BH	–
GM1	170	10	1.16	18	58	64	94	189 [•]
GM1	170	20	1.30	30	75	81	119	219 [•]
GM1	170	30	1.41	43	90	96	141	244 [•]
GM1	170	40	1.51	BH	105	111	163	267 [•]
GM1	180	10	1.56	BH	52	54	BH	–
GM1	180	20	1.61	BH	65	65	BH	–
GM1	180	30	1.65	BH	BH	BH	BH	–

Based on the “simple” scheme of Alford and Reddy PRD67(2003)074024

How to generate GRBs

The energy released (in the **strong deflagration**) is carried out by neutrinos and antineutrinos.

The reaction that generates gamma-ray is:



The efficiency of this reaction in a strong gravitational field is:

$$\eta \approx 10\%$$

[J. D. Salmonson and J. R. Wilson, ApJ 545 (1999) 859]



$$E_\gamma = \eta E_{conv} \approx 10^{51} - 10^{52} \text{ erg}$$

Detonation or deflagration?

Continuity eqs. through the front

Energy momentum tensor

$$(e_h + p_h)v_h\gamma_h^2 = (e_q + p_q)v_q\gamma_q^2,$$
$$(e_h + p_h)v_h^2\gamma_h^2 + p_h = (e_q + p_q)v_q^2\gamma_q^2 + p_q$$

Baryon flux

$$\rho_B^h v_h \gamma_h = \rho_B^q v_q \gamma_q$$

$v_h > v_{sh}$	$v_q < v_{sq}$	strong detonation
$v_h > v_{sh}$	$v_q > v_{sq}$	weak detonation
$v_h < v_{sh}$	$v_q < v_{sq}$	weak deflagration
$v_h < v_{sh}$	$v_q > v_{sq}$	strong deflagration

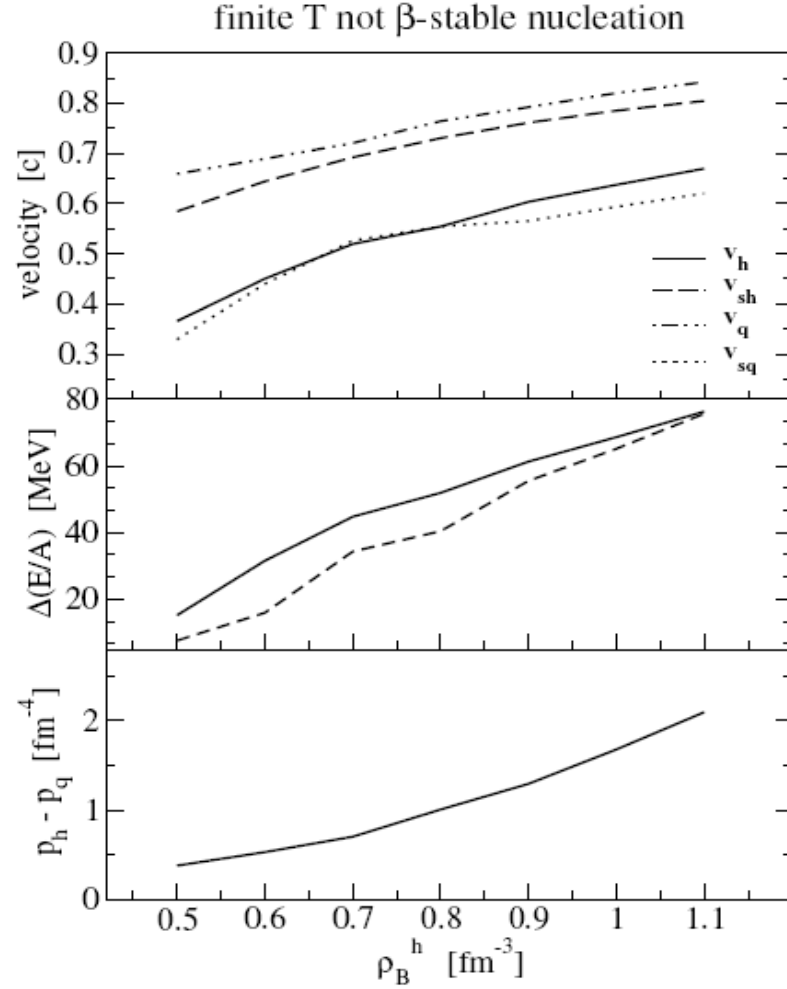


Fig. 16.— Upper panel: velocity of hadronic phase v_h , of the burned phase v_q and corresponding sound velocities v_{sh} and v_{sq} , all in units of the velocity of light and in the front frame. Center panel: energy difference between the two phases (in the hadron phase rest frame). The dashed and the solid lines correspond to the first and to the second iteration in the solution of Eqs. 1,2,3,19. Lower panel: pressure difference between the uncombusted and the combusted phase. Here the combusted phase is obtained using $B^{1/4} = 170$ MeV, temperatures from 5 to 40 MeV (as estimated from the solid line in the central panel) and it is not β -stable.

Scheme for convection

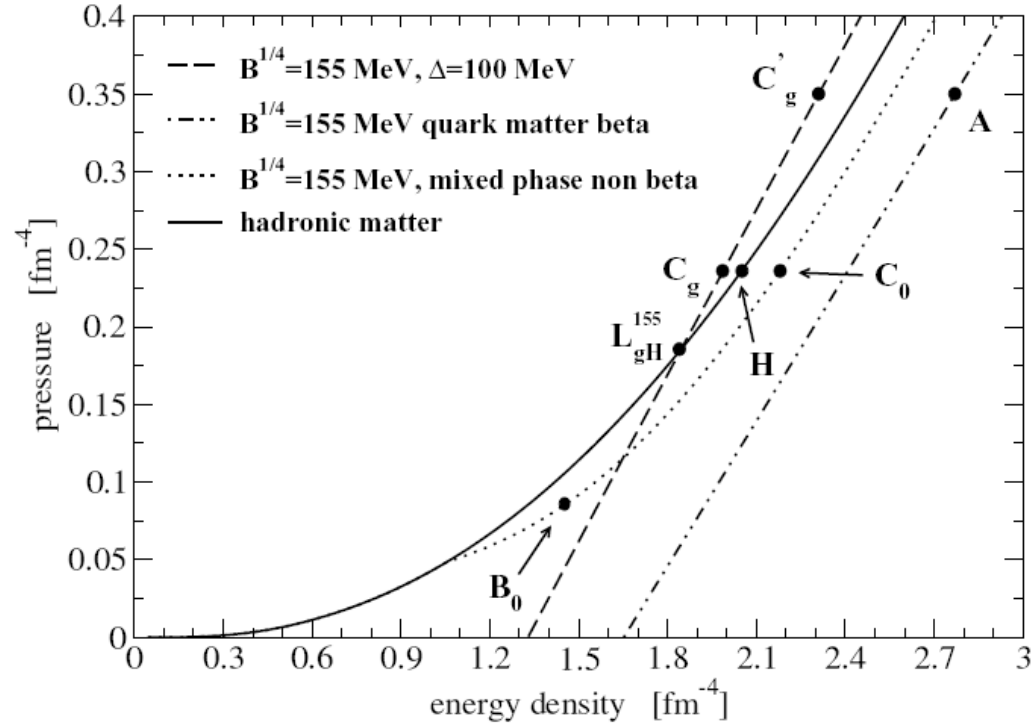
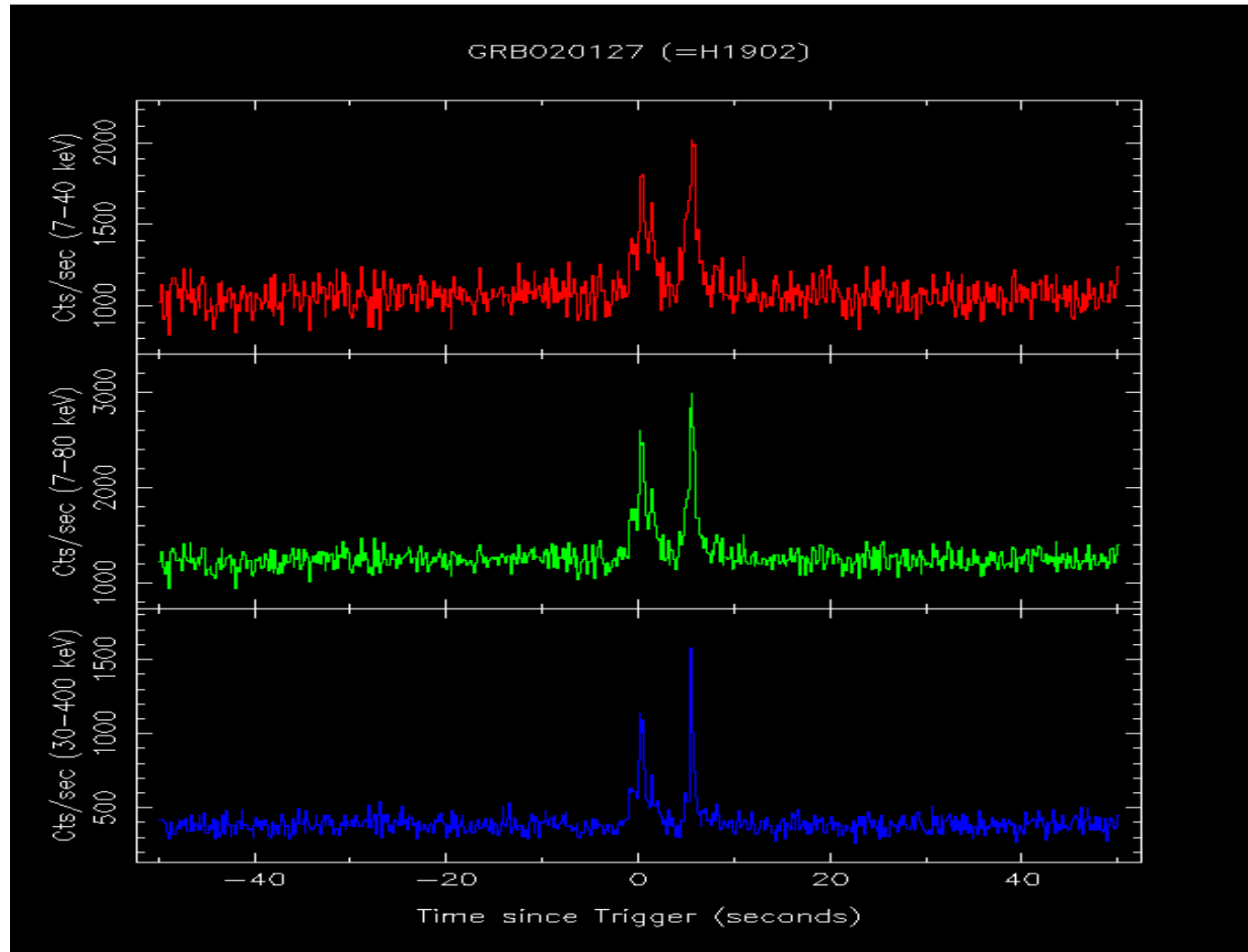


Fig. 19.— Scheme for convection: H represents the drop of hadronic matter just before deconfinement, B_0 represents the drop of newly formed QM, C stays for the drop of QM after pressure equilibration and L indicates the end point of the convective layer. Finally A represents a drop of ungapped quark matter before its transition to CFL phase. Here $B^{1/4} = 155 \text{ MeV}$ and hyperons are not included.

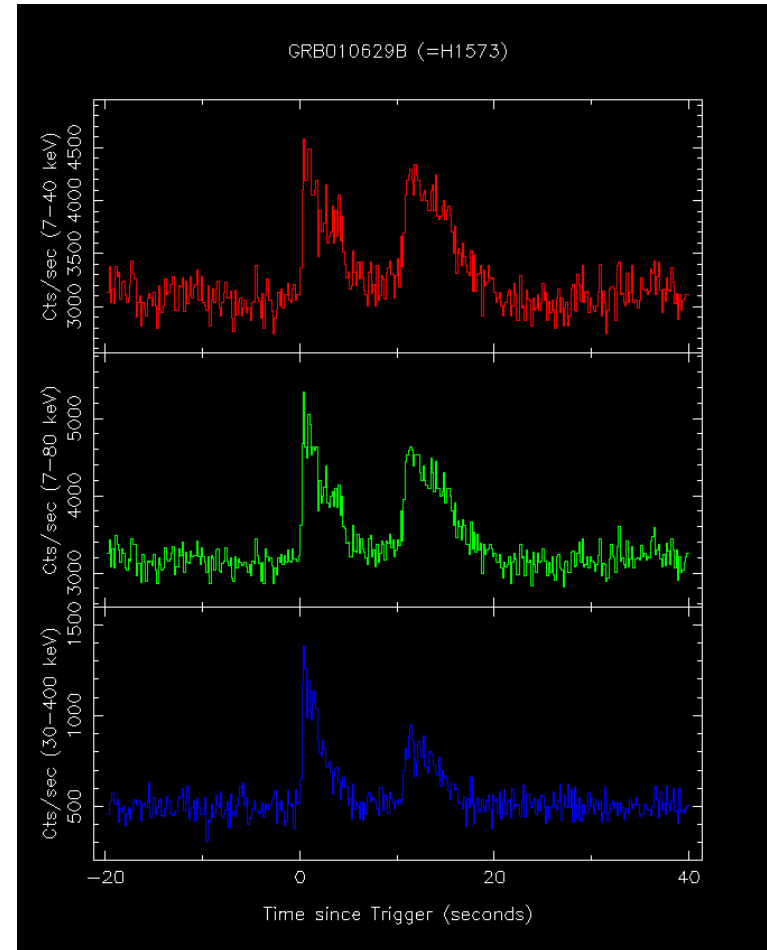
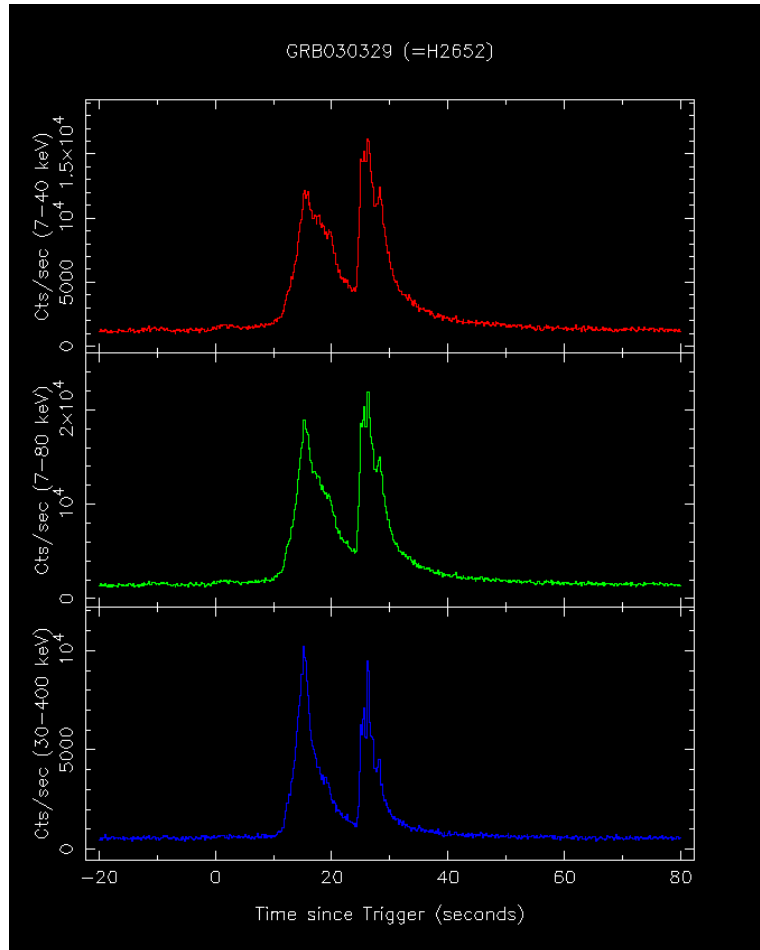
Main results:

- Never a detonation (no mechanical shock)
- Always a deflagration with an unstable front
- Convection can develop if hyperons are present in the hadronic phase or if diquark can condensate

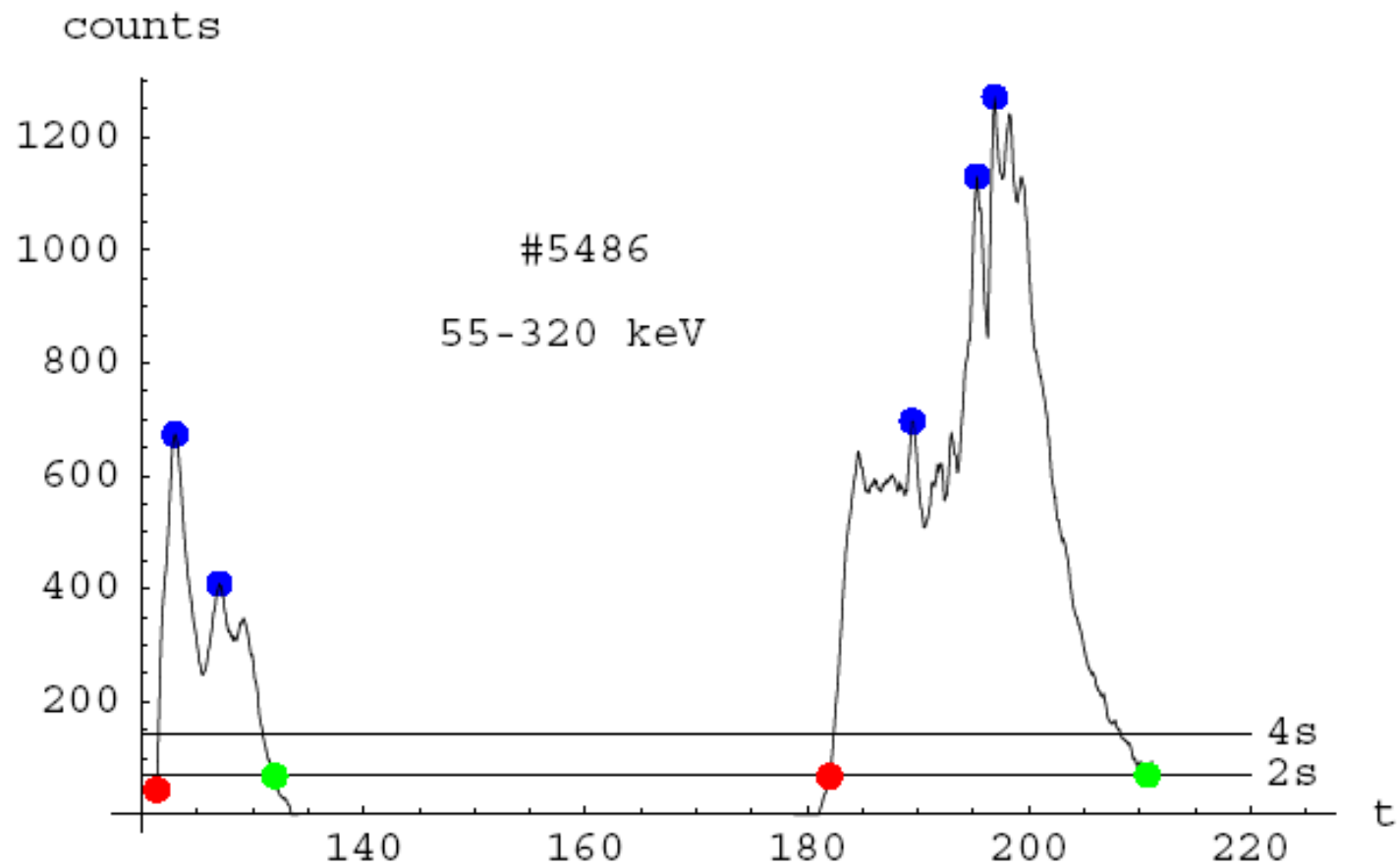
Double bursts → Quiescent time HETE Catalog



Further examples of double bursts from HETE Catalog



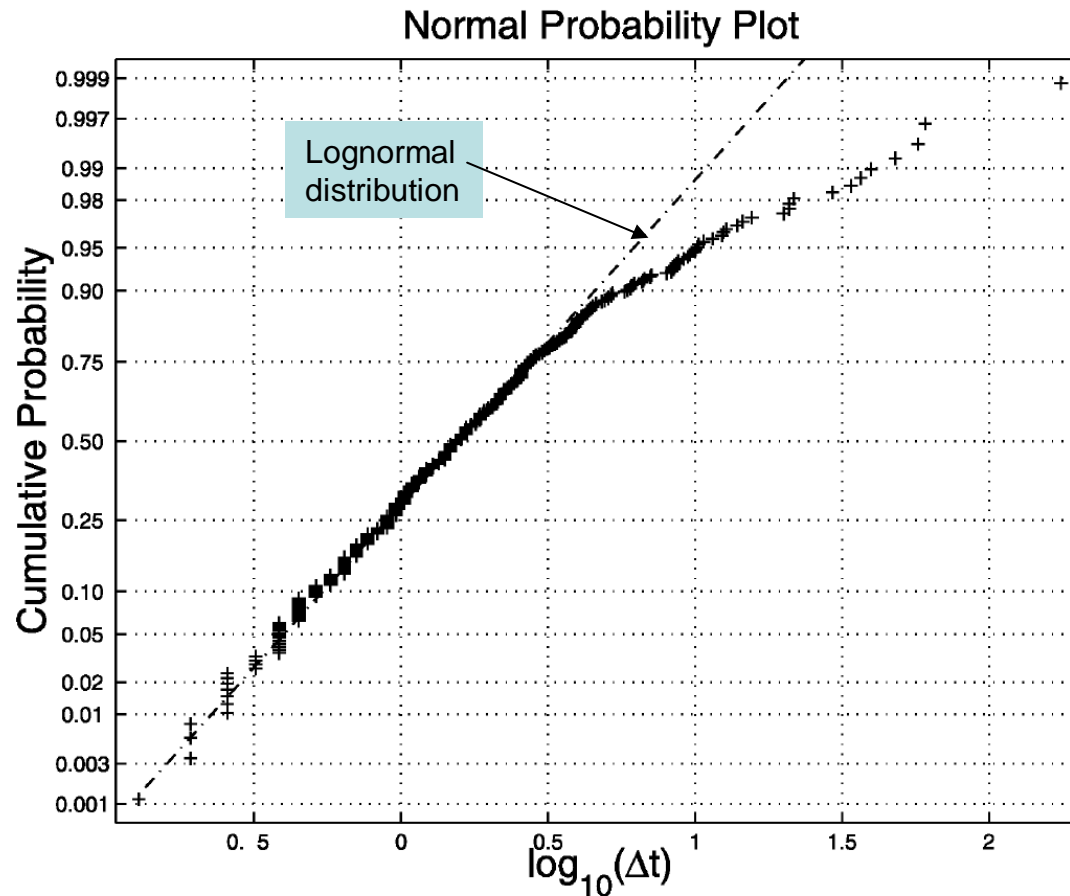
Temporal structure of BATSE 5486



Cumulative distribution of quiescent times

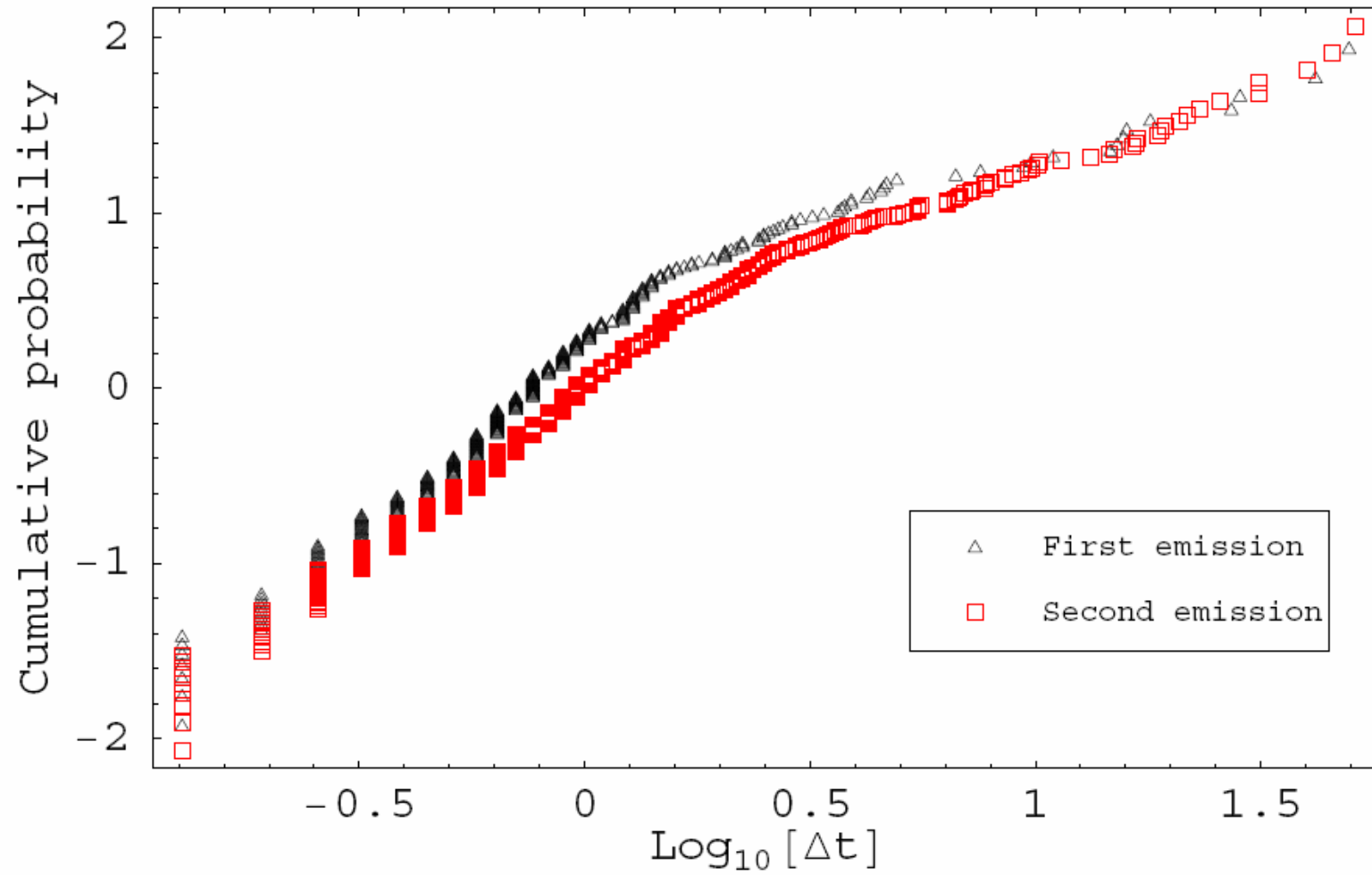
E.Nakar and T.Piran, MNRAS 331 (2002) 40

data from Batse catalog

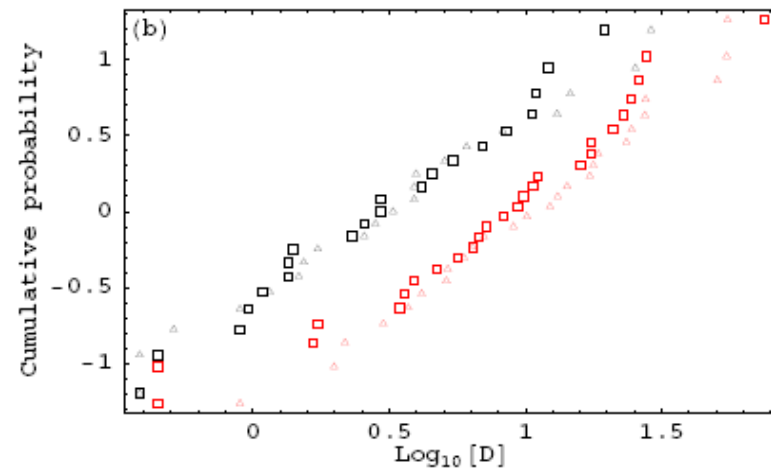
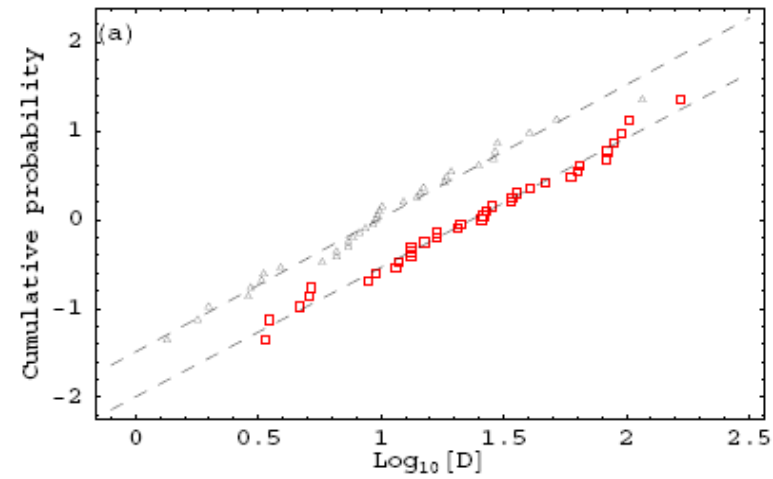


“... the quiescent times are made by a different mechanism than the rest of the intervals”
Nakar and Piran 2002

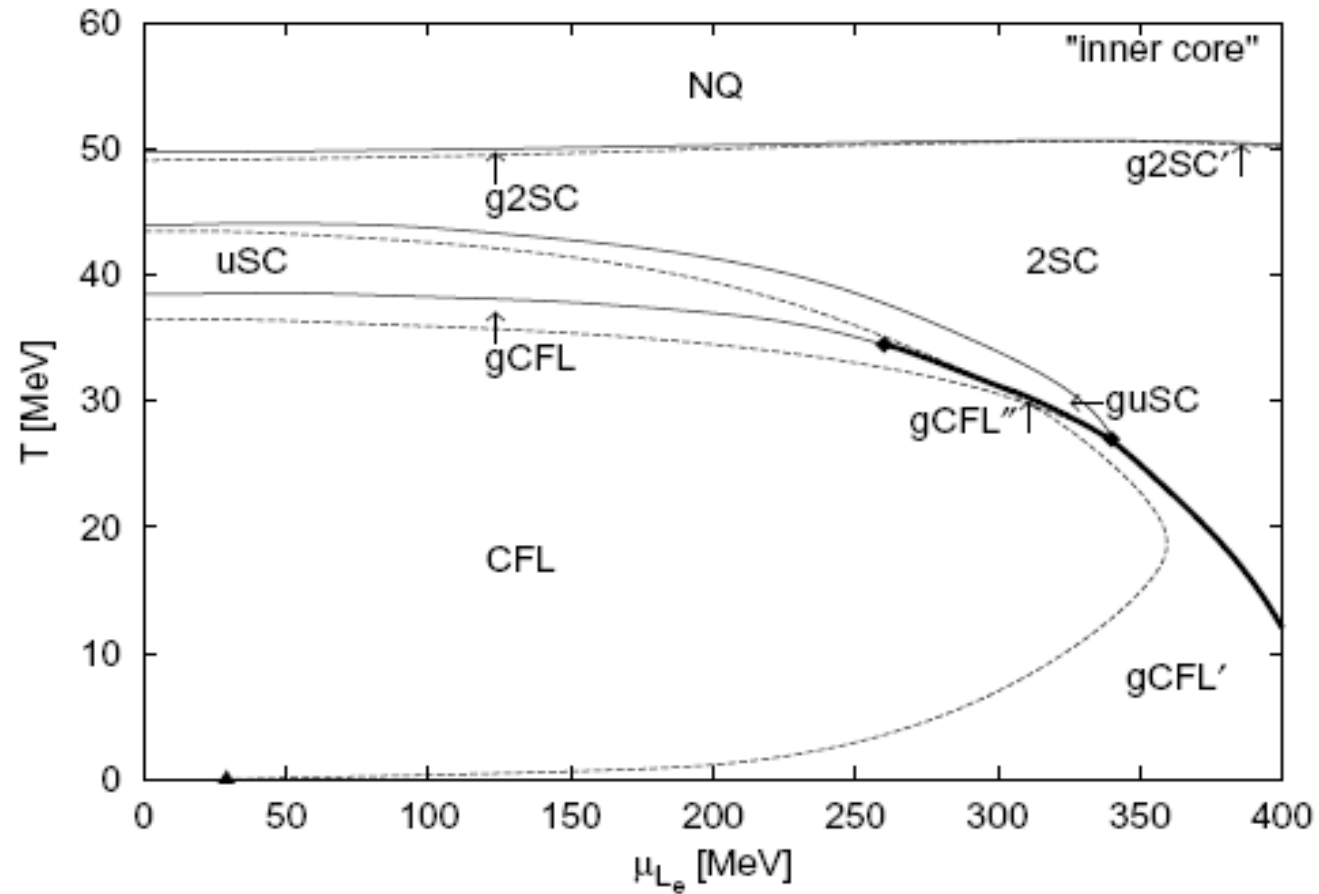
Analysis of time intervals between peaks
within each emission episod



Analysis of durations of the two emission episodes a)
and within each episode b)



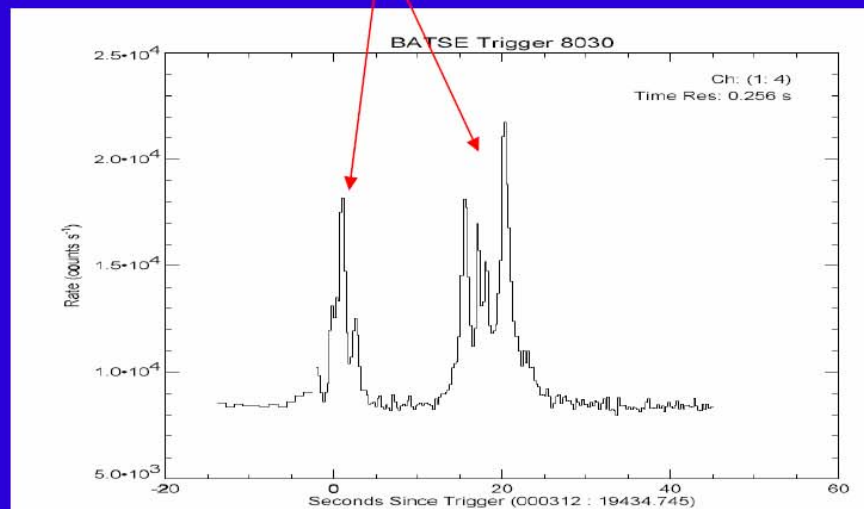
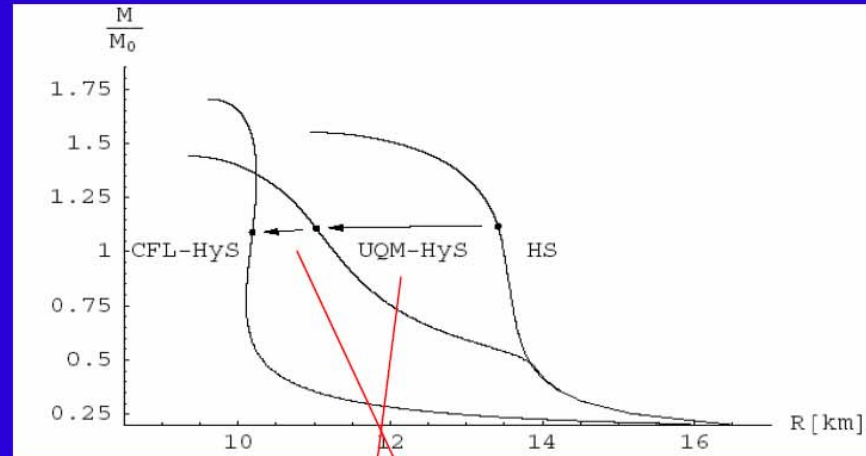
Phase diagram of neutral quark matter: effect of neutrino trapping
Ruster et al. PRD73 (2006) 034025



Double GRBs generated by double phase transitions

Two steps:

- 1) transition from hadronic matter to unpaired or 2SC quark matter. “Mass filtering”
- 2) The mass of the star is now fixed. After strangeness production, transition from 2SC to CFL quark matter. Decay time scale τ few tens of second



Conclusions

- The conversion of an hadronic star into a hybrid or quark star can be at the origine of (at least part of) the long GRBs.
- While in the collapsar model SN explosion and GRB need to be almost simultaneous, in the QM formation model a time delay between SN and GRB can exist, and its duration is regulated by mass accretion.
- The existence of two stars having similar masses but very different radii would constitute a very strong support to the QM formation model.
- The formation of diquark condensate can significantly increase the total energy released.
- “Evidence” of two active periods in long GRBs.
The first transition, from hadronic matter to unpaired (or 2SC) quark matter acts as a “mass filter”. The second transition, producing (g)CFL quark matter can be described as a decay having a life-time of order tens of seconds
- Possible to test MP formation in the lab with scattering at intermediate energies