

# Nanostructured Liquid Chromatography Systems

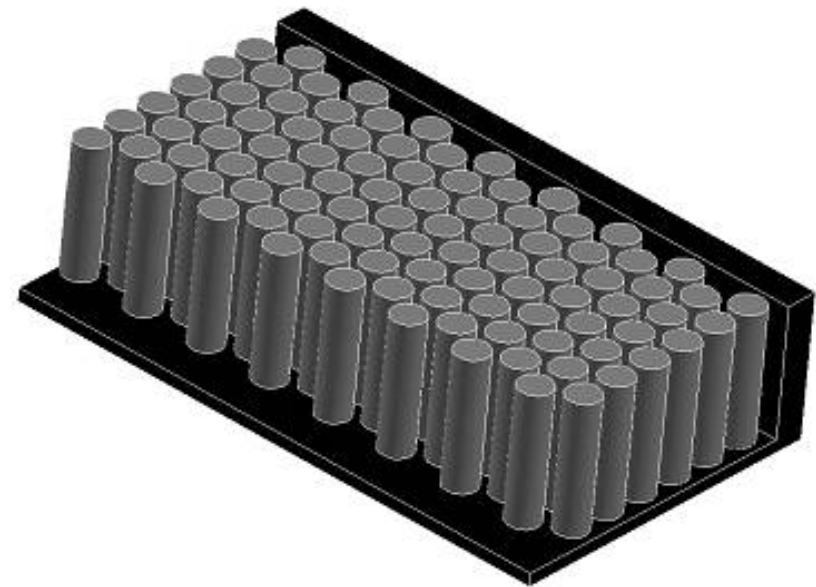
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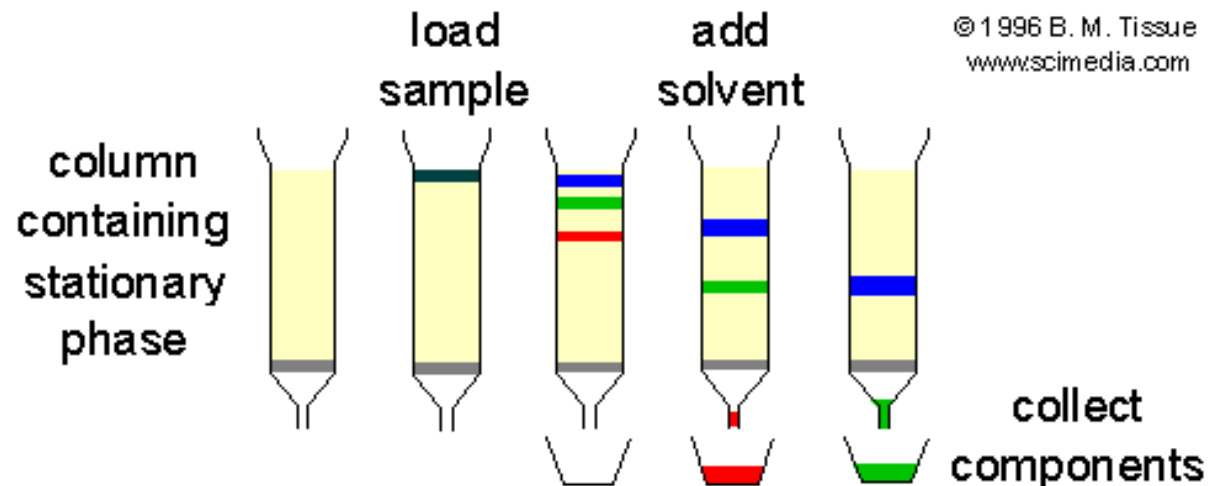


# The concept of chromatography

Substances are carried by a mobile phase along a stationary phase; individual species are retarded by the stationary phase

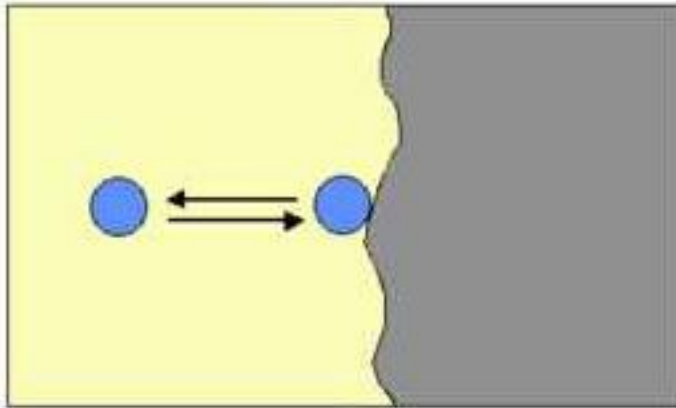
M. Tswett first observed separation of plant pigments as bands on chalk columns (1903) and named the phenomenon "chromatography" (in Greek "color writing")

L.S. Ettre and A. Zlatkis, Eds., 75 years of chromatography, Elsevier, Amsterdam, 1979

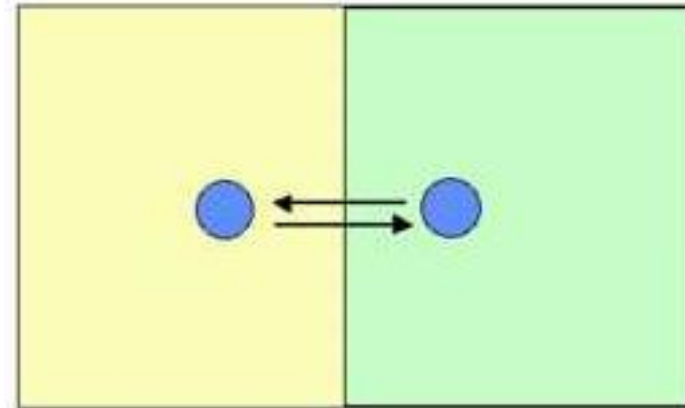


Note that a **retention difference** is translated in a **position difference**, which enables **sorting**

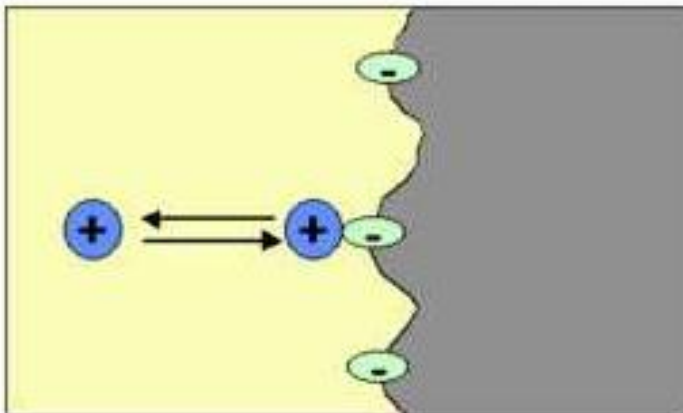
# Major categories of LC



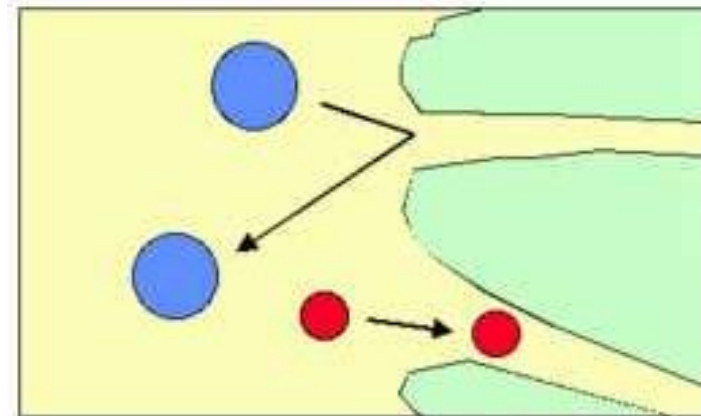
adsorption



partition (solvent polarity)

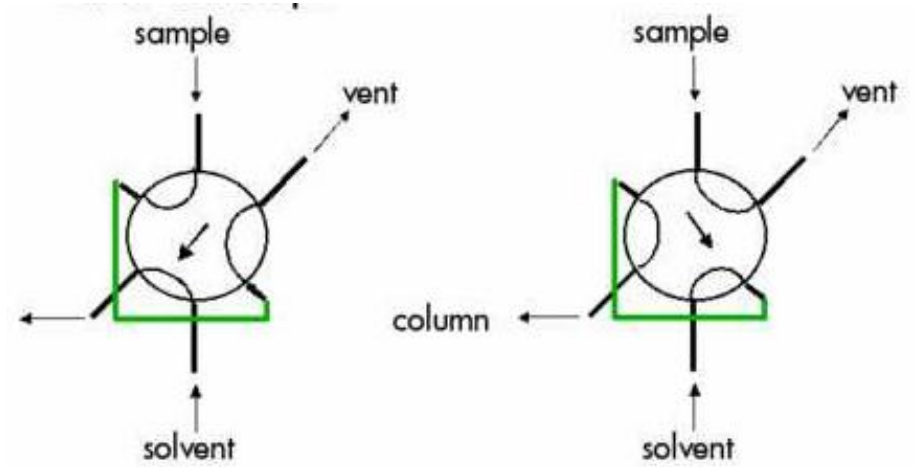
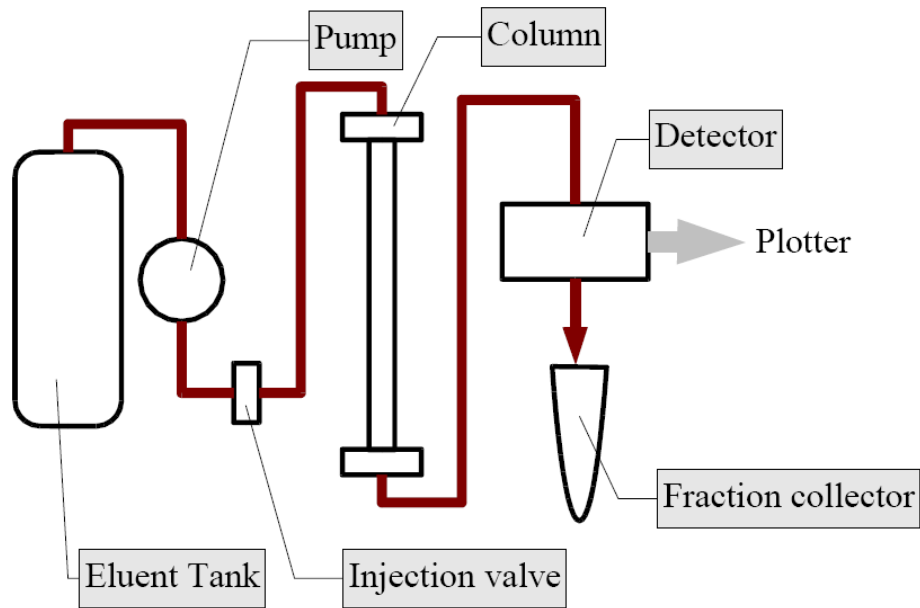


ion exchange



size exclusion (gel permeation)

# Basic LC setup

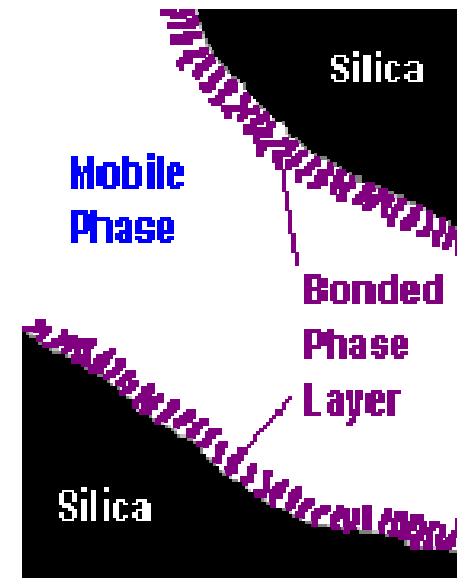
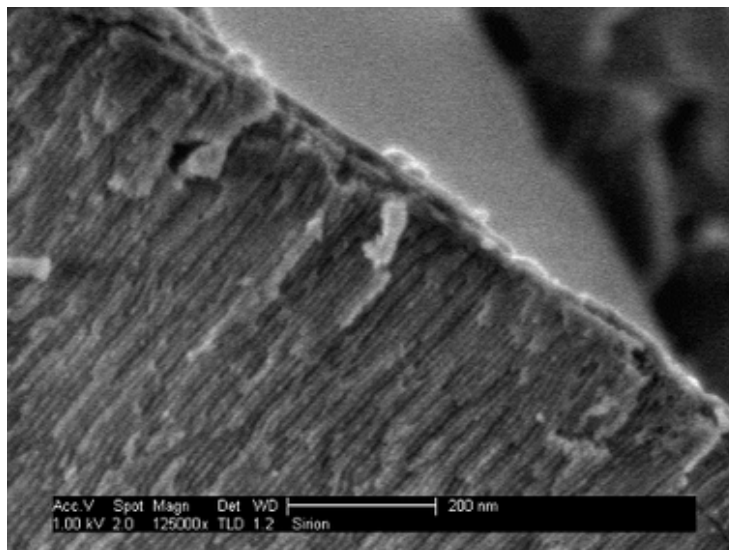
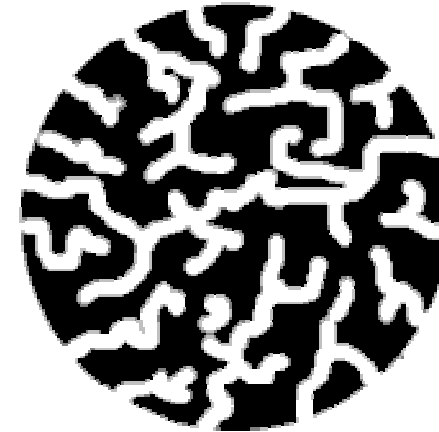
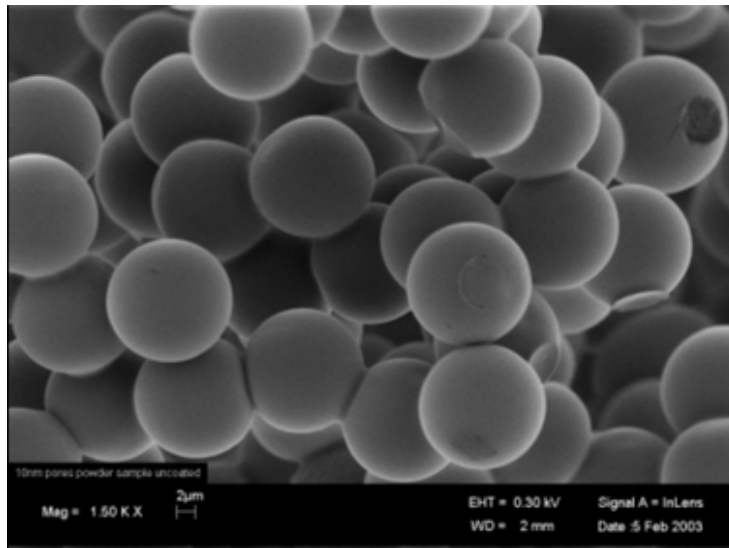


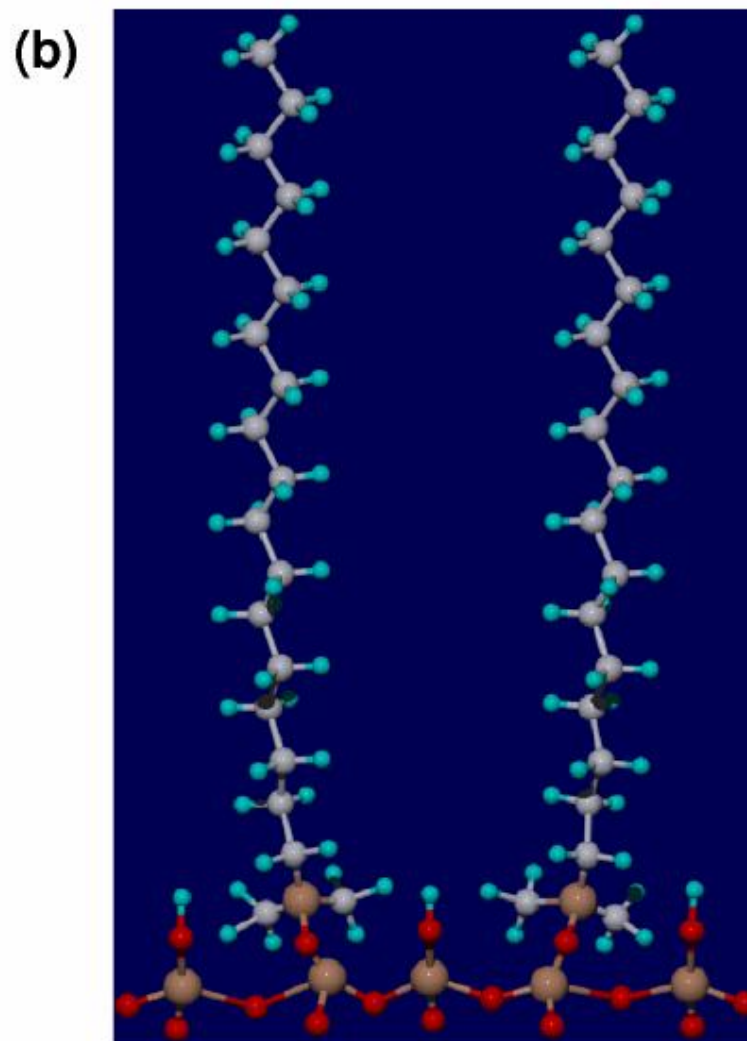
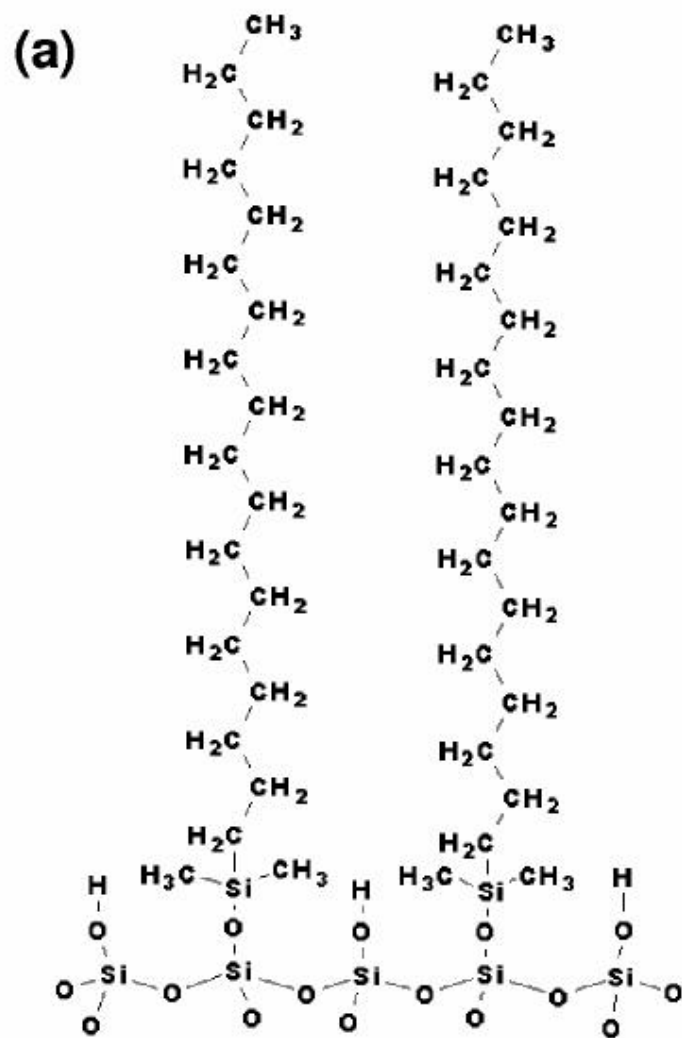
300 µm i.d. column (the standard)



100 µm i.d. monolith column

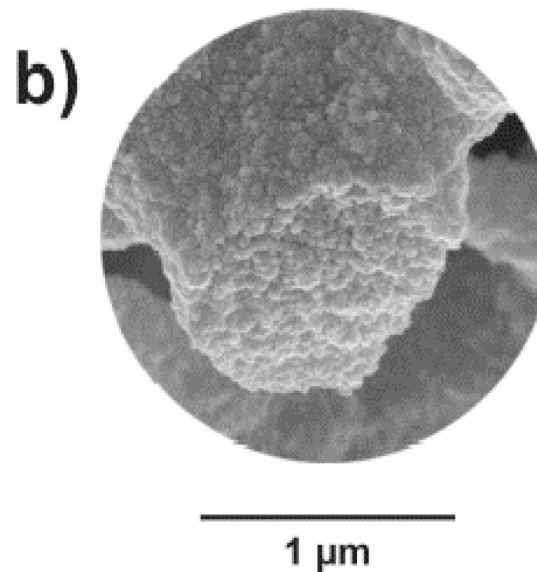
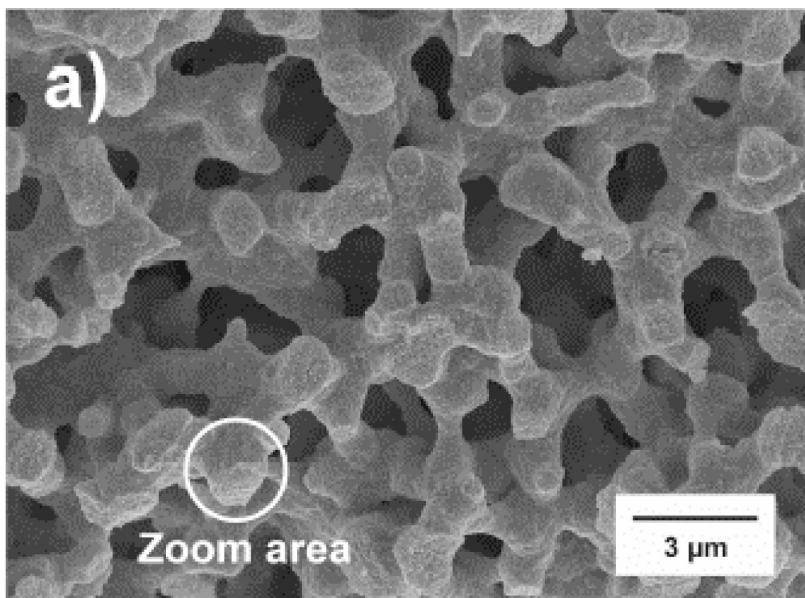
# Column materials: Particles





Chemical structure and 3D illustration of  $C_{18}$  functional groups on silica

# Column materials: Monoliths

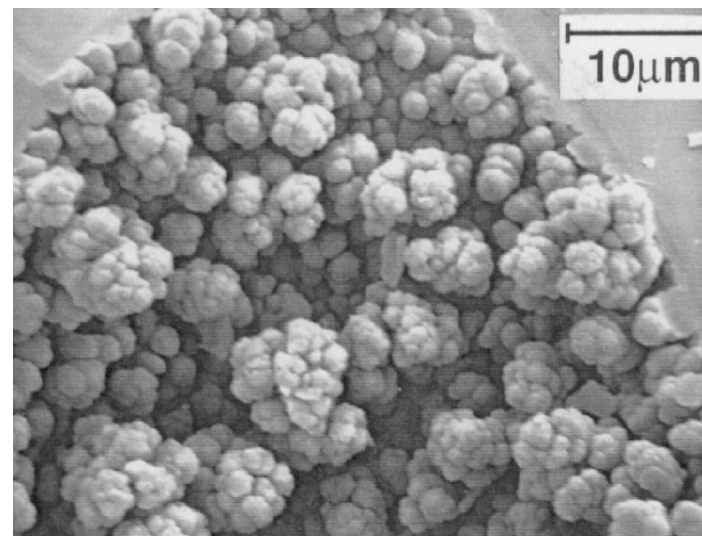


SEM cross-section of a silica monolith showing: a) the macropores (1-3  $\mu\text{m}$ ), and: b) the mesopores (10-20 nm).

From U. Tallarek e.a. Chem. Eng. Technol. 25, 2002, p.1177

Polystyrene-based monolith.

From I. Gusev e.a. J. Chrom. A 855, 1999, p.273



# Trends in liquid chromatography

- narrower columns
- smaller particles (and -thus- higher pressures)
- monoliths replace particles
- microfluidic systems










Because of:

- higher separation "quality"
- higher separation speed
- lower sample and solvent consumption



# Trends in particle size

**Figure 3: History of HPLC particle development.**

Years of acceptance	Particle size	Most popular nominal size	Plates / 15 cm (approximate)
1950s	 Irregular-Shaped	100 µm	200
1967	 Glass bead	50 µm (pellicular)	1000
1972		10 µm	6000
1985		5 µm	12000
1992		3–3.5 µm	22000
1996*		1.5 µm (pellicular)	30000
1999		5.0 µm (poroshell)	8000**
2000		2.5 µm	25000
2003		1.8 µm	32500

\*Non-porous silica or resins \*\* For protein MW 5 700

From: R.E. Majors, "Fast and Ultrafast HPLC on sub-2 µm Porous Particles — Where Do We Go From Here?" LC GC Europe, June 2006, p. 352

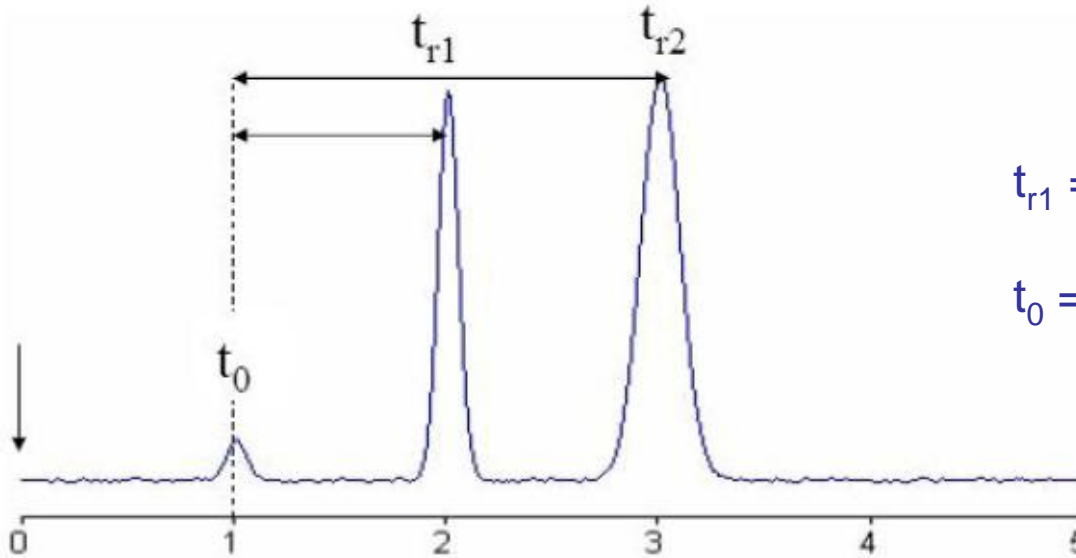
**Table 1: Commercial Sub-2 µm HPLC Columns. status: April 2005**

Manufacturer	Family name(s)	Average particle size µm
Agilent	Zorbax RR	1.8
Alltech	Altima, Platinum and ProSphere	1.5
Bischoff	ProntoPEARL sub-2 TPP Ace	1.8
Thermo	Hypersil GOLD 1.9µm	1.9
Waters	ACQUITY	1.7

# Retention and partitioning

Partitioning:  $A_{\text{mobile phase}} \leftrightarrow A_{\text{stationary phase}}$

$$K = \left( \frac{c_s}{c_m} \right)_{eq} \quad \text{distribution constant}$$



Detector signal in time

$t_{r1}$  = retention time analyte 1

$t_0$  = retention solvent (unretained)

capacity factor  $k$  gives ratio of amount of analyte in mobile to stationary phase:

$$k = \frac{V_s}{V_m} \left( \frac{c_s}{c_m} \right)_{eq} = \frac{V_s K}{V_m}$$

Furthermore:  $t_r = (1 + k)t_0$

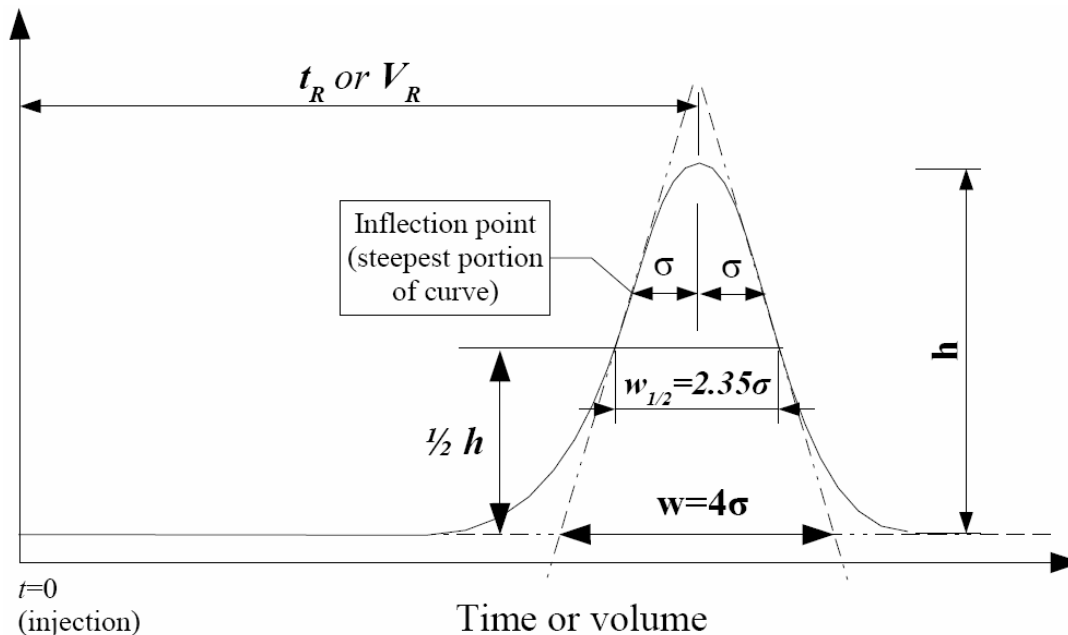
# Chromatography parameters

Column consists of a number of **plates**, in analogy to distillation column. On each plate, equilibration of partitioning of the solute between mobile and stationary phases occurs.

**height equal to a theoretical plate  $H$  (or HETP):**  $H = \frac{S_x^2}{L} = L \left( \frac{S_t}{t_r} \right)^2$

**plate number:**  $N = \frac{L}{H}$

Higher  $N$  or smaller  $H$  means a more efficient column



# Plate height: Van Deemter equation

$$\begin{aligned}
 H/d_p = & \underbrace{BD_m/(ud_p)}_{\text{axial diffusion}} + A_1 / \{1 + 1/D(ud_p/D_m)^{1/2}\} \\
 & + A_2 \{k'/(1+k')\}^2 \{ud_p/D_m\}^{1/2} \\
 & + Ck'/(1+k')^2 \{ud_p/D_s\}
 \end{aligned}$$

$d_p$  = particle diameter

$k'$  = phase capacity ratio

$D_m$   $D_s$  = diffusion coefficient in mobile or stationary phase

$u$  = linear flow velocity

$A_1$   $A_2$   $B$   $C$   $D$  = constants

J. Knox, J. Chrom A 960, 2002, 7

$$H = \frac{BD_m}{u} = \frac{BD_m}{L/t} = B \frac{2D_m t}{2L} = \frac{B}{2} \frac{S_x^2}{L}$$

so this term = axial diffusion  
(and  $B = 2$ )

# Parameters in Van Deemter equation

Basic form:  $H \approx \frac{B}{u} + Au^{1/n} + Cu$  (n=1,2,3)

A: multiple passes through the column packing

B: molecular diffusion

C: equilibration between phases

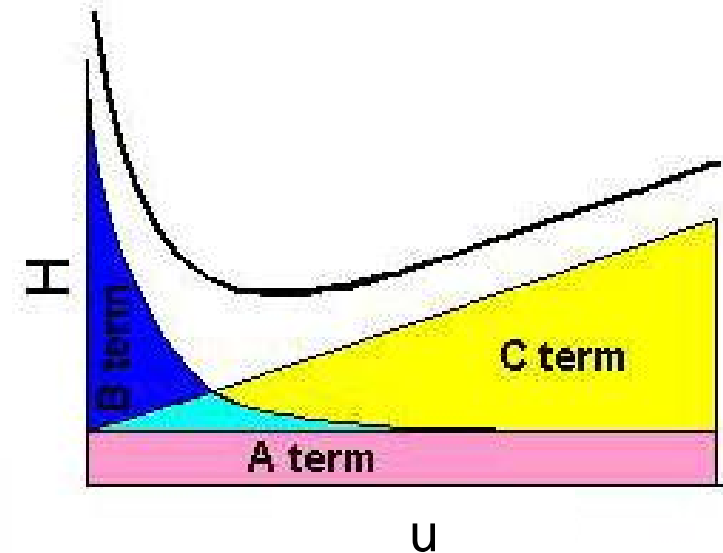
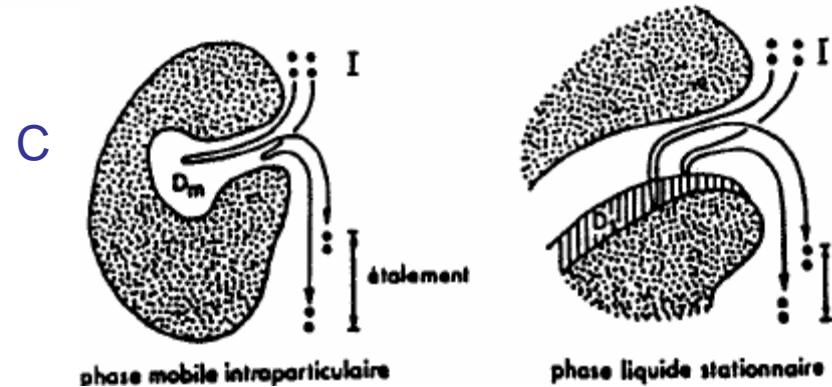
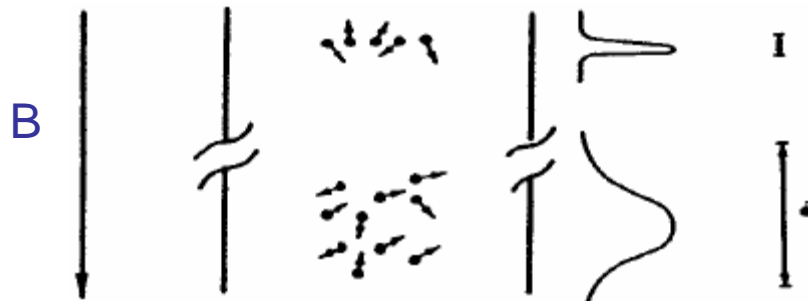
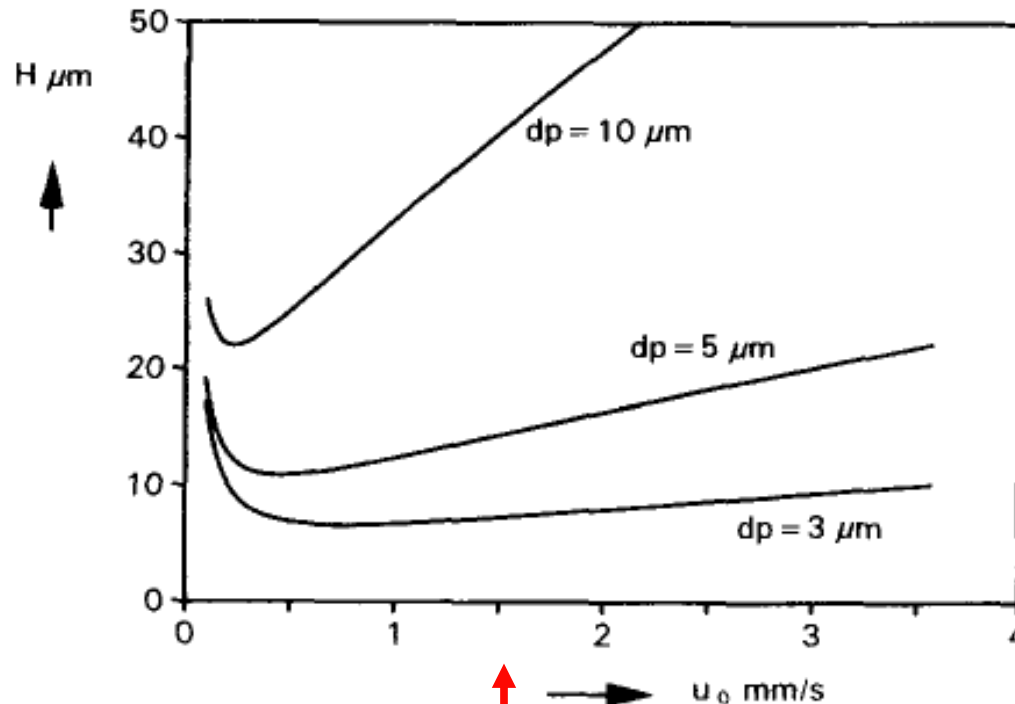


Illustration of eddy diffusion.



# Van Deemter for different particle diameter



And all these curves fall on one and the same curve !

With reduced plate height:

$$h = H/d_p$$

and reduced velocity (= Peclet number):

$$\nu = u d_p / D_m$$

we obtain the reduced equation:

$$h = B/\nu + 1/\{1/A_1 + 1/D\nu^{1/2}\} + A_2\{k'/(1+k')\}^2 \nu^{1/2} + C\{k'/(1+k')\}^2 \{D_m/D_s\} \nu$$

# Miniaturization in chromatography

Standard LC formats are already micro/nano-sized:

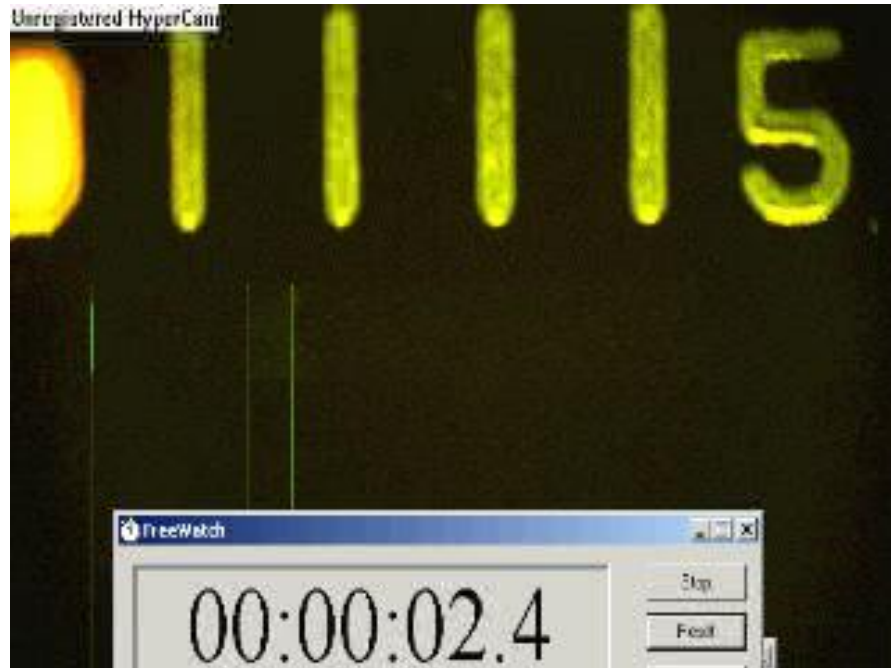
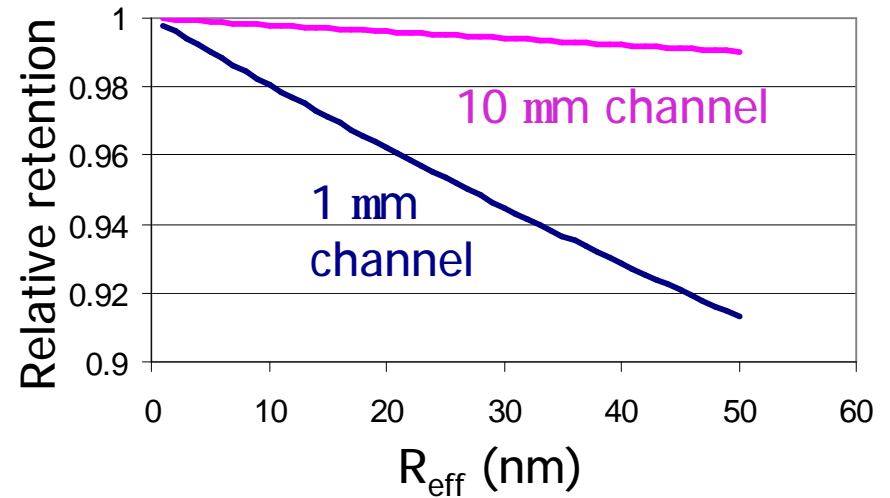
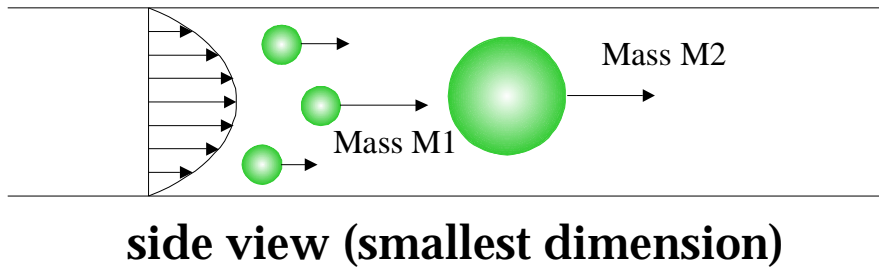
- 75  $\mu\text{m}$  capillaries
- packed columns with (sub)micron flow passages
- mesoporous materials (particles and monoliths)
- surface processes
- low-volume detectors, low sample volumes and low flow rates

"nano-LC"

Micro/nanofabrication benefits

- integration reduces dead volumes (injector and detector, connections)
- parallel separations (e.g. 96-channel electrophoresis chips)
- new types of (size) separation (see Bob Austin's lectures)
- high-order columns!

# Hydrodynamic "chromatography"



Top view (perpendicular to smallest dimension).

Separation of 26, 44, 110, 180 nm fluorescent polystyrene nanoparticles and a marker.

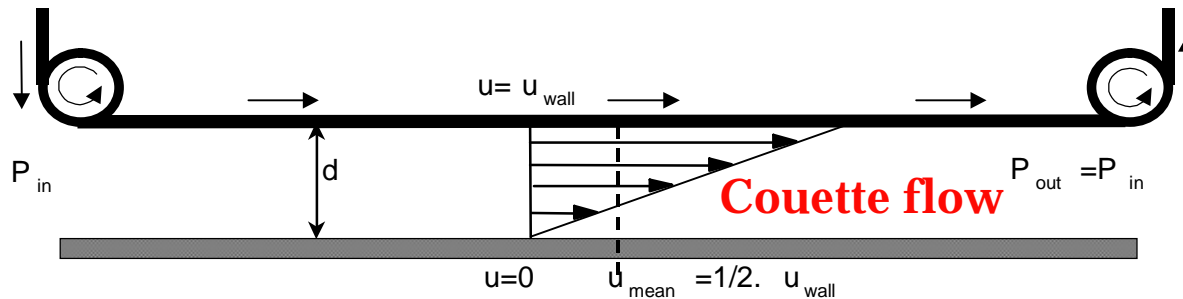
Channel height 1  $\mu\text{m}$ , channel width 500  $\mu\text{m}$



# Shear-driven chromatography: basics

Limitations in pressure-driven chromatography: pressure drop:  $\Delta P = f \frac{hLu_m}{d^2}$

with  $\eta$  viscosity,  $L$  length,  $d$  column or particle diameter,  $u_m$  average linear velocity of mobile phase,  $f$  flow resistance parameter (32 for open and 500-1000 for packed columns)



Darcy's equation:

$$u = \frac{\Delta P d_p^2}{\phi \eta L}$$

$1/\phi$  = specific permeability

Shear-driven:  $u_m = \frac{u_{wall}}{2}$

is basically unlimited. Plate height is given by:

$$H = 2 \frac{D_m}{u_m} + \frac{2}{30} \left\{ \frac{1 + 7k + 16k^2}{(1+k)^2} \right\} u_m \frac{d^2}{D_m} + \frac{2}{3} \left\{ \frac{k}{(1+k)^2} \right\} u_m \frac{d_t^2}{D_s}$$

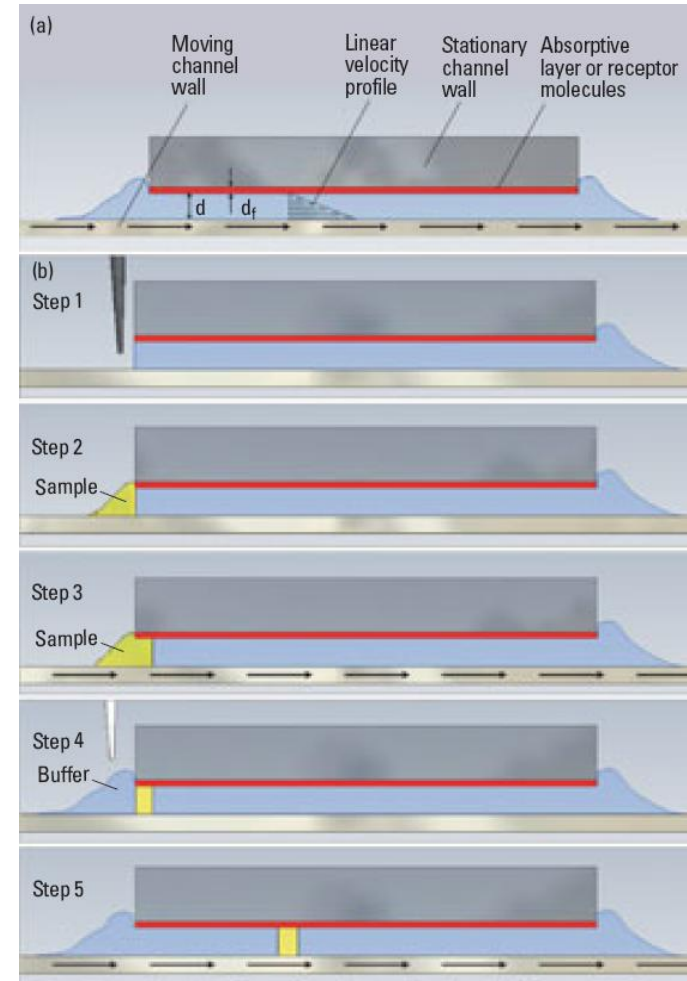
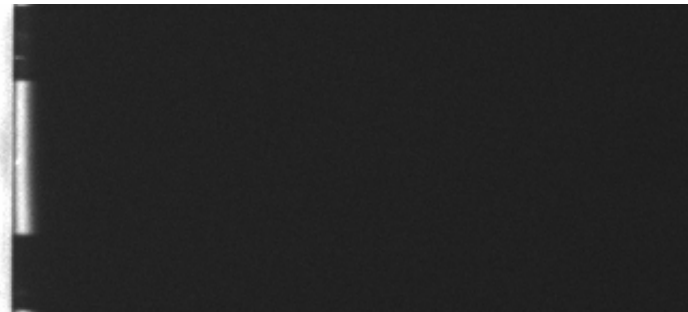
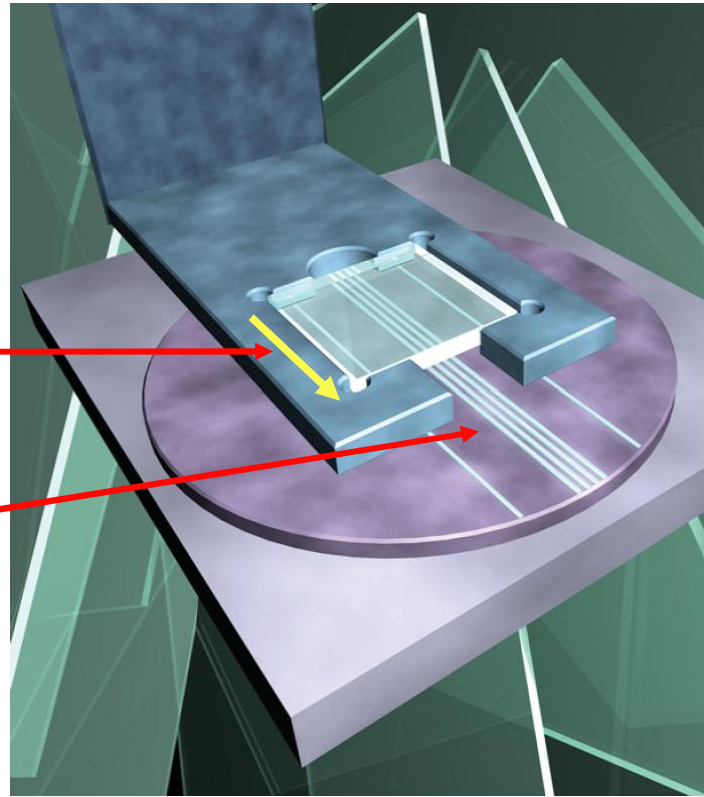
with  $d_t$  thickness of stationary phase layer,  $D_s$  and  $D_m$  diffusivities in stationary and mobile phase,  $k$  retention coefficient,  $d$  thickness of mobile phase layer (Note: no A-term)

# Shear-driven chromatography experimental

sliding direction

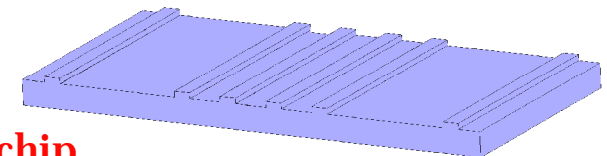
nanochannels  
50 -300 nm

high-speed  
separation of  
4 coumarin  
dyes



Old injection procedure

SDC chip





**Microfabricated high-order columns for LC**

3.0kV

X370

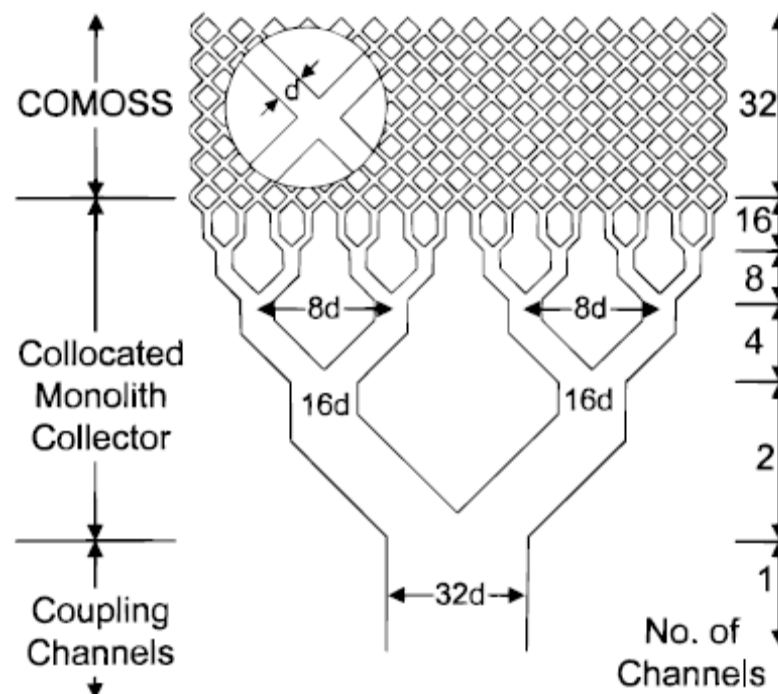
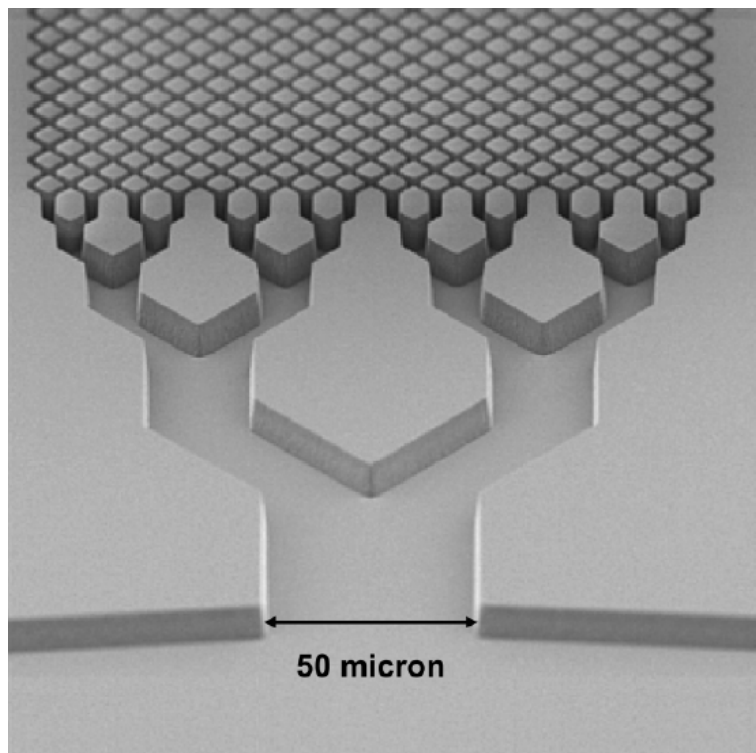
50µm

17

14

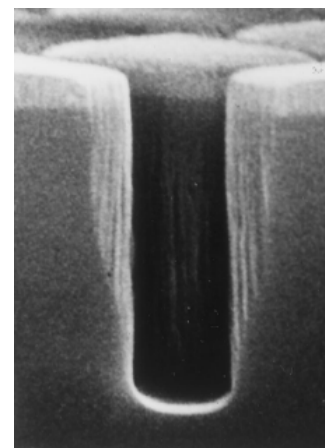
SEI

# Original idea by Regnier e.a.

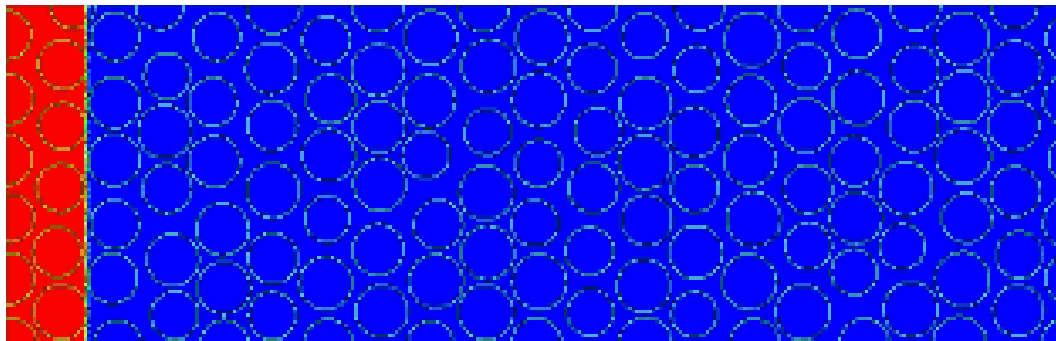
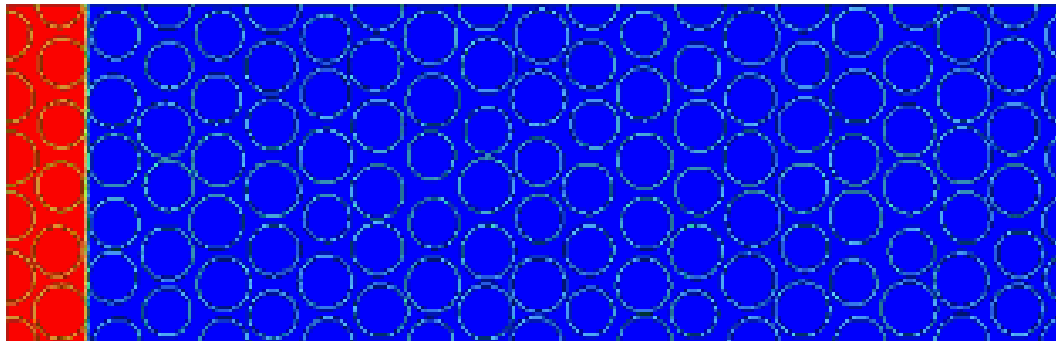
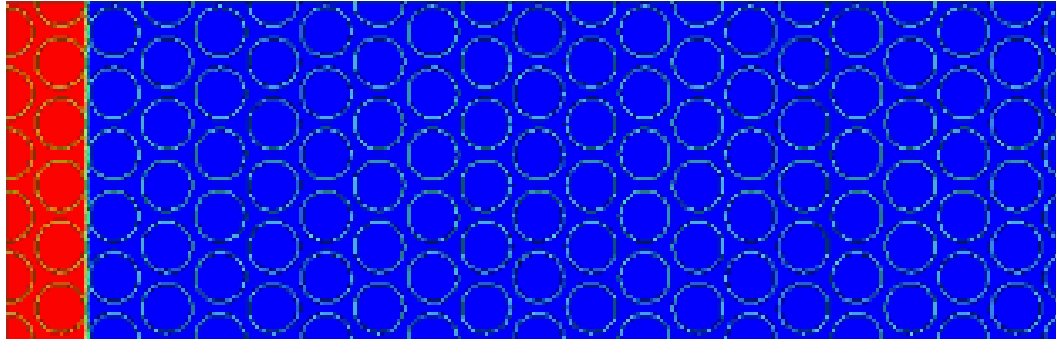


Used for electro chromatography,  
disappointing performance

pillars:  $5 \times 5 \times 9 \mu\text{m}^3$



# Why order?

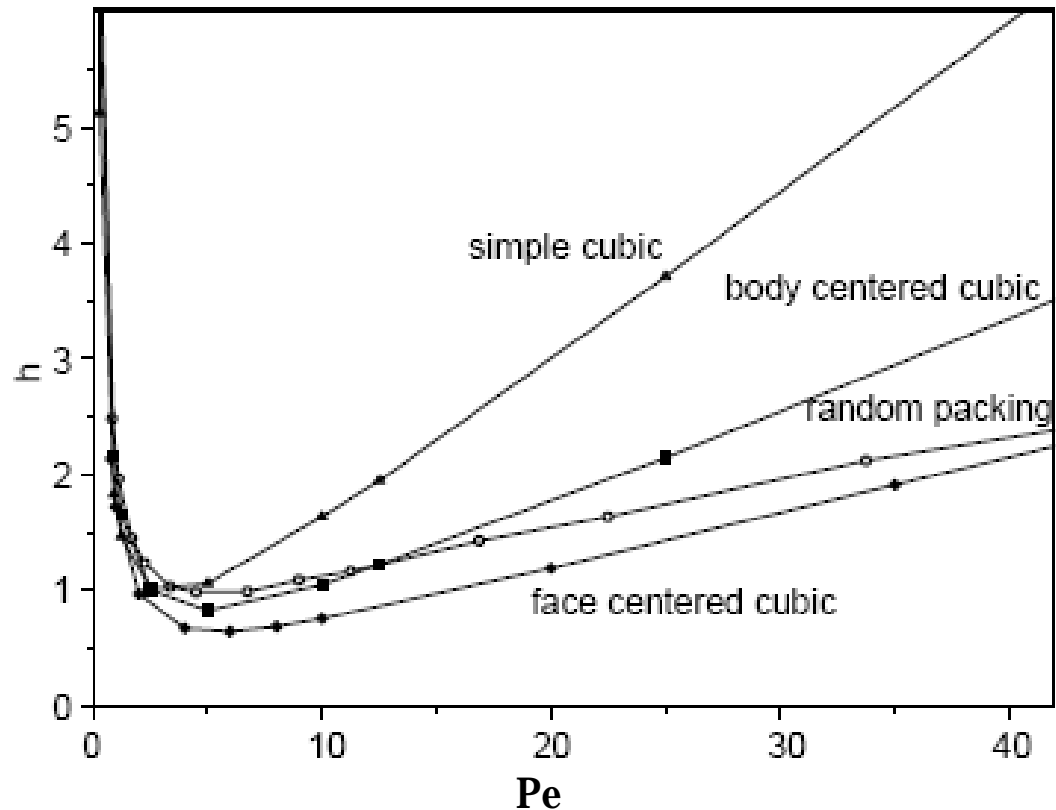
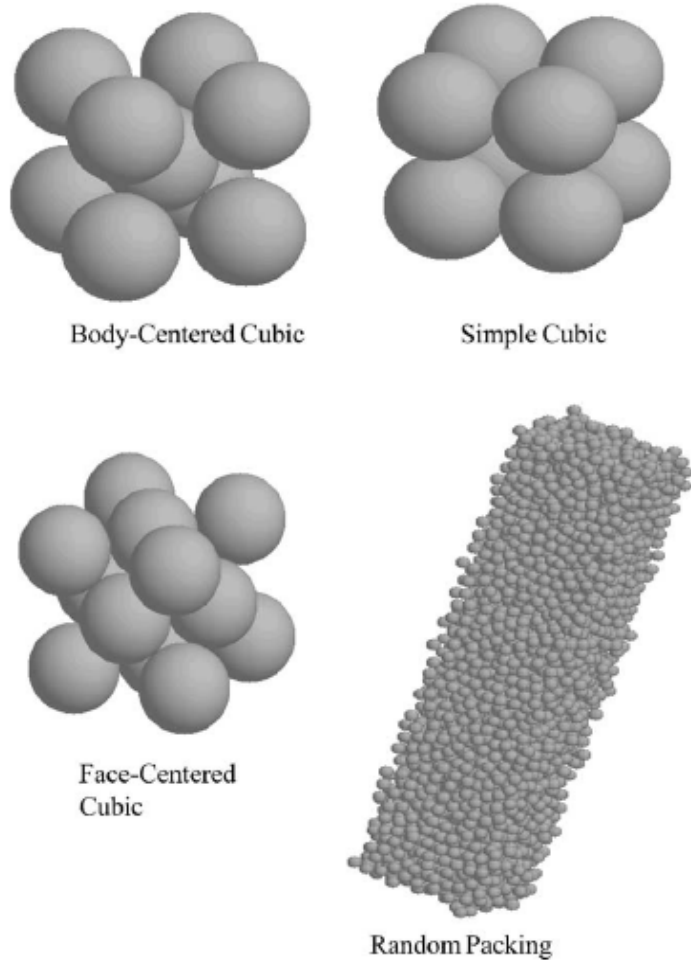


Comparison of band broadening in a two-dimensional mimic of a chromatographic column with increasing degree of heterogeneity;

Note: this is part of the A-term in the Van Deemter equation

source: J.Billen, VU Brussels, B

# Ordered packed columns



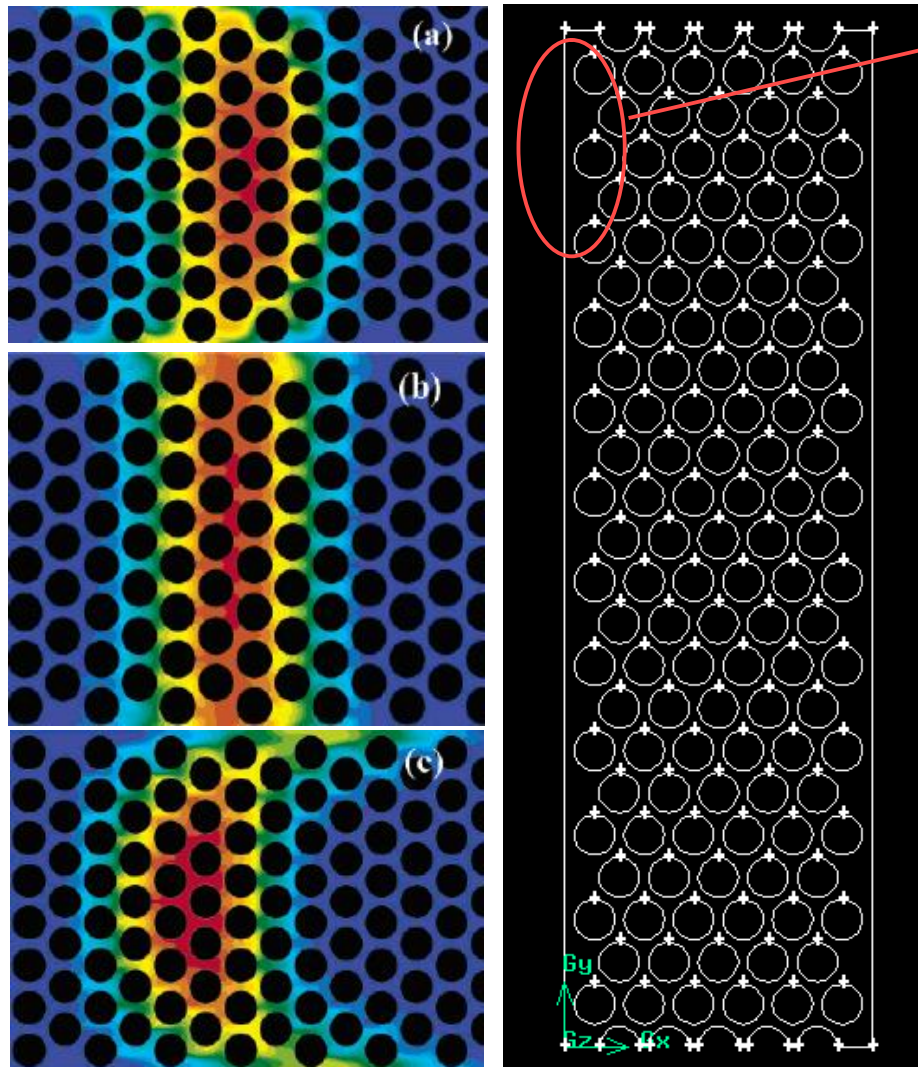
The pressure drop,  $dp/dz$  for  $5\ \mu\text{m}$  spheres, the permeability, and the flow resistance for the three ordered packs and the random pack

Pack	Pressure drop $dp/dz$ ( $\text{kg/m}^2/\text{s}^2$ )	Permeability $k$ ( $\text{m}^2$ )	Flow resistance $\phi$ (nondimensional)
sc	$7.76 \times 10^7$	$6.14 \times 10^{-14}$	194
bcc	$2.58 \times 10^8$	$1.24 \times 10^{-14}$	645
fcc	$6.10 \times 10^8$	$4.25 \times 10^{-15}$	1520
Random	$2.23 \times 10^7$	$1.61 \times 10^{-14}$	559

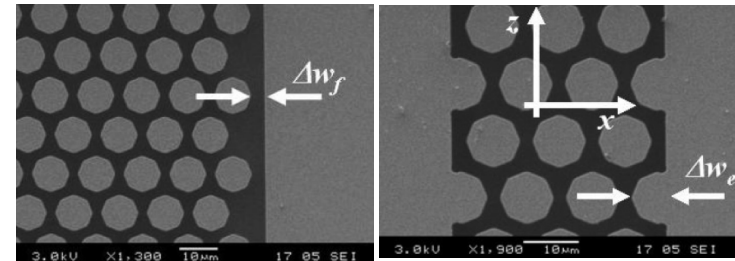
Lattice-Boltzmann simulations

M.R. Schure e.a. J.Chrom.A. 1031, 2004, 79

# Wall effects



Distance between last pillar row and sidewall is very critical



$$h = \frac{S_x^2}{Ld_p} = \frac{L}{d_p} \left( \frac{S_t}{t_{mean}} \right)^2 \quad \Delta W = \frac{\Delta w}{d_p}$$

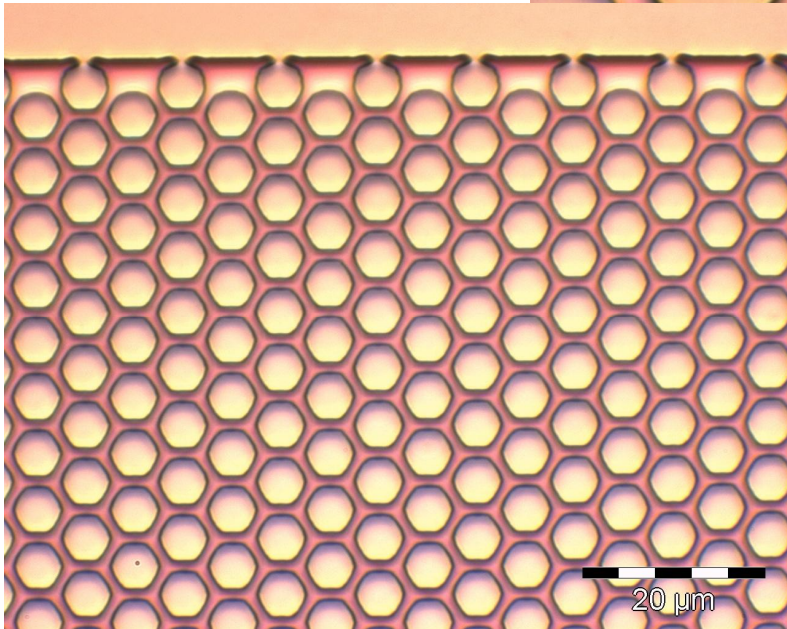
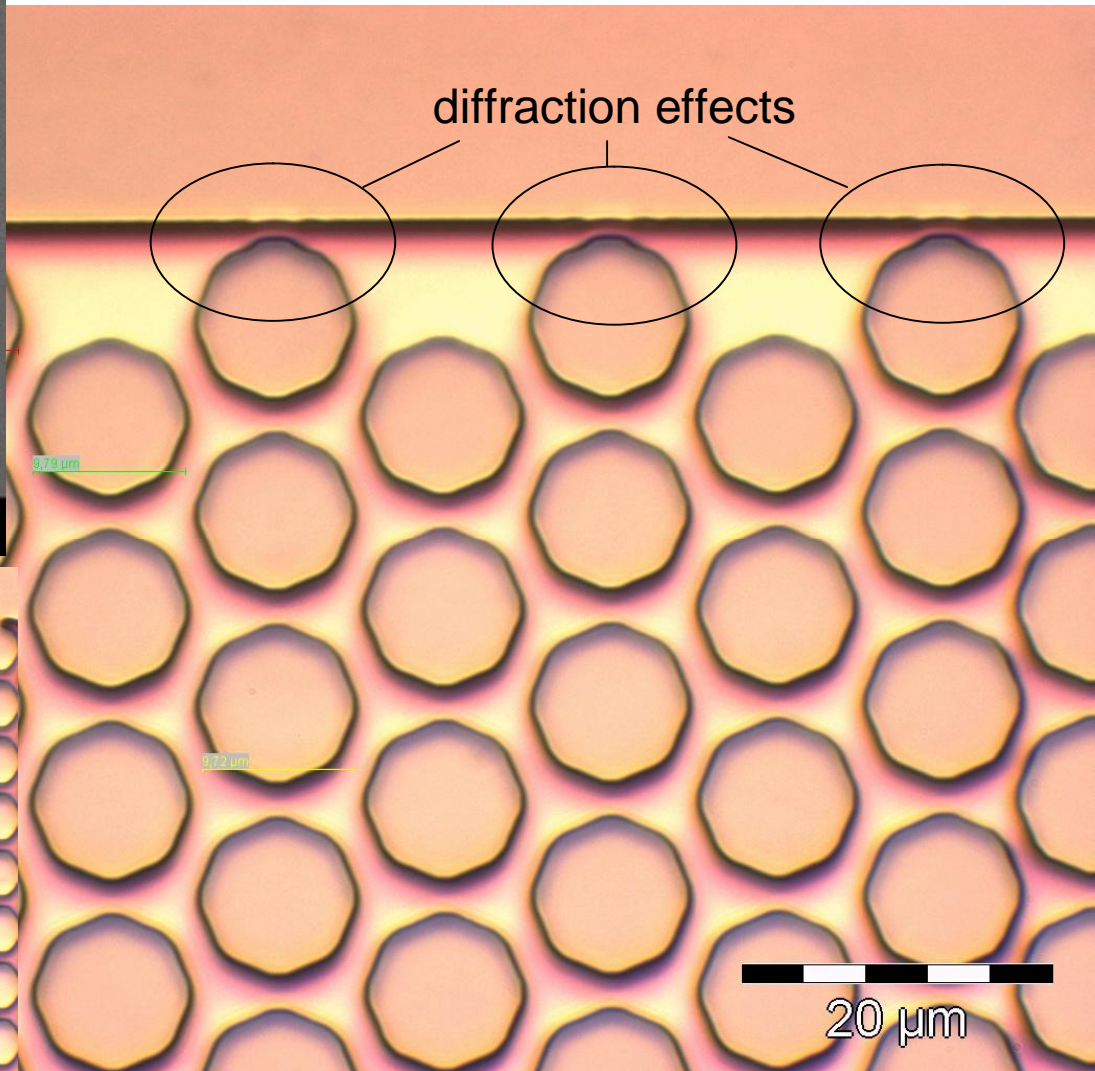
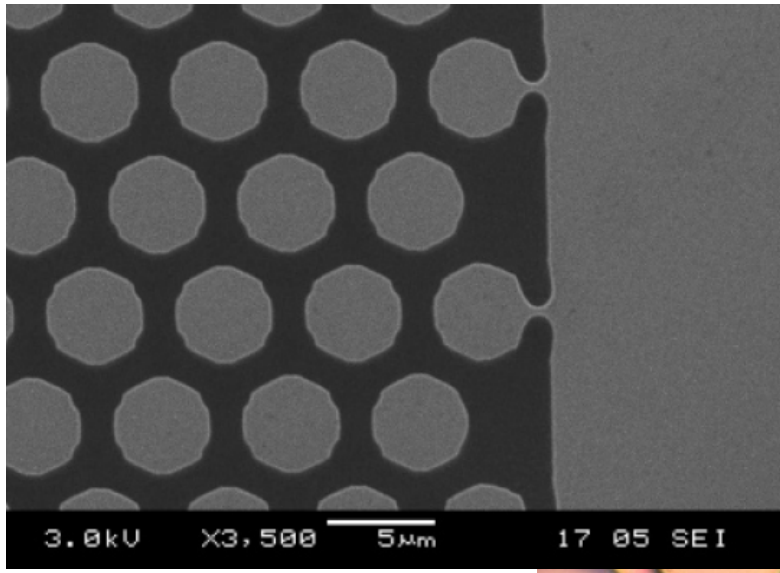
**Table 1. Geometrical Parameters and Performance of the Channels**

channel	width (µm)	$d_p$ (µm)	wall type	$\Delta\omega$	$h_{min}^a$
1	1000	10	flat	0.14	$0.29 \pm 0.06$
1C <sup>b</sup>		10			$0.36 \pm 0.06$
2	1000	5	flat	0.28	$0.72 \pm 0.14$
2C <sup>b</sup>		5			$0.32 \pm 0.08$
3	36	10	flat	0.07	$0.66 \pm 0.19$
4	60	10	embedded	0.43	$0.49 \pm 0.03$
5	100	10	embedded	0.59	$0.27 \pm 0.02$
6	40	10	embedded	0.66	$0.16 \pm 0.03$

<sup>a</sup> Mean  $\pm$  95% confidence interval. <sup>b</sup> Center strip of the channel.

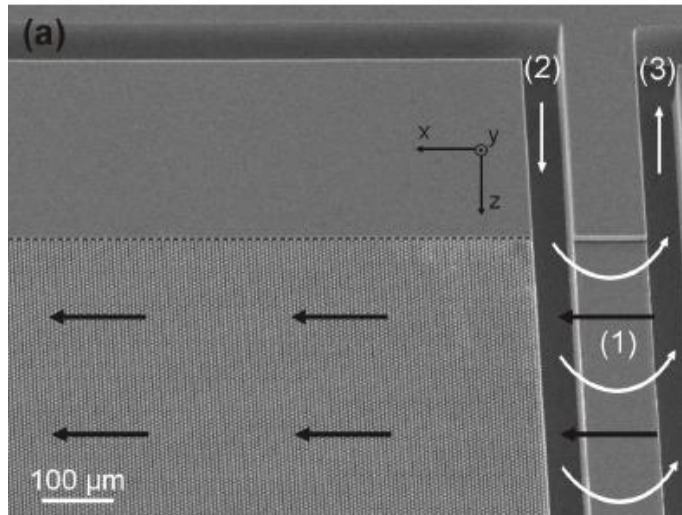
**N.B. Also the top and bottom wall of the channel add to  $h$ , and shift  $h(Pe)$  minimum to lower  $Pe$  (H. Eghbali e.a. J. Sep. Sci. 2007 in press)**

# UV photolithography limitation ( $\sim 1 \mu\text{m}$ )

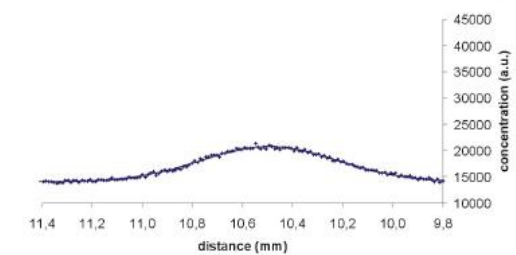
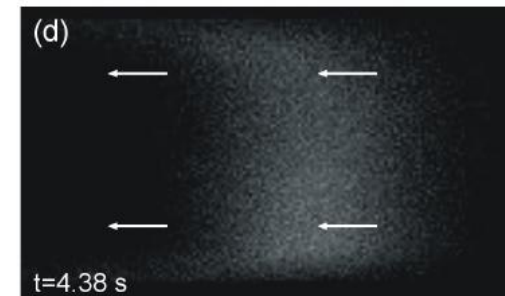
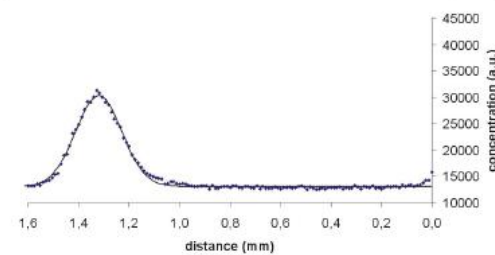
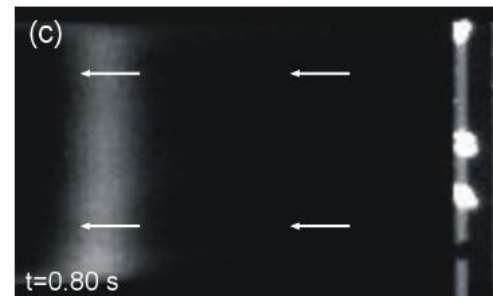
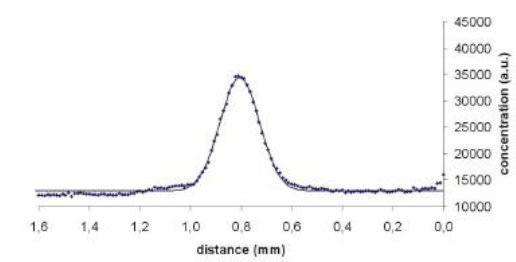
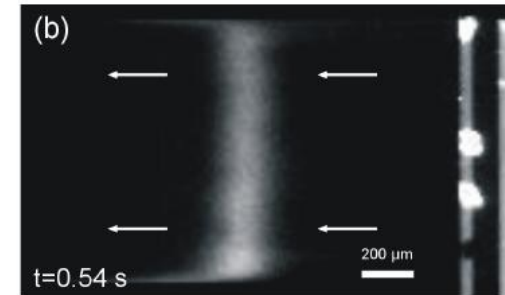
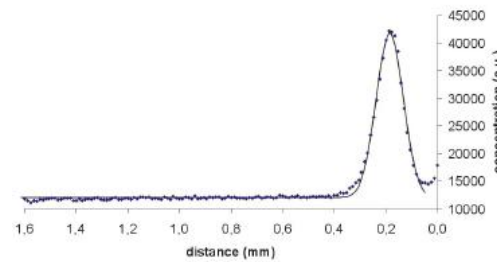
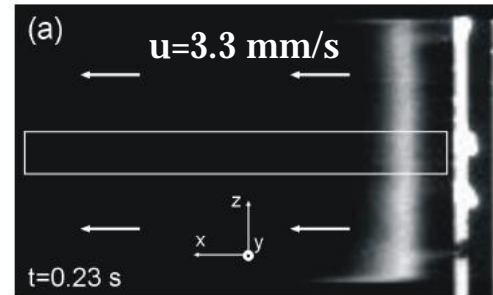


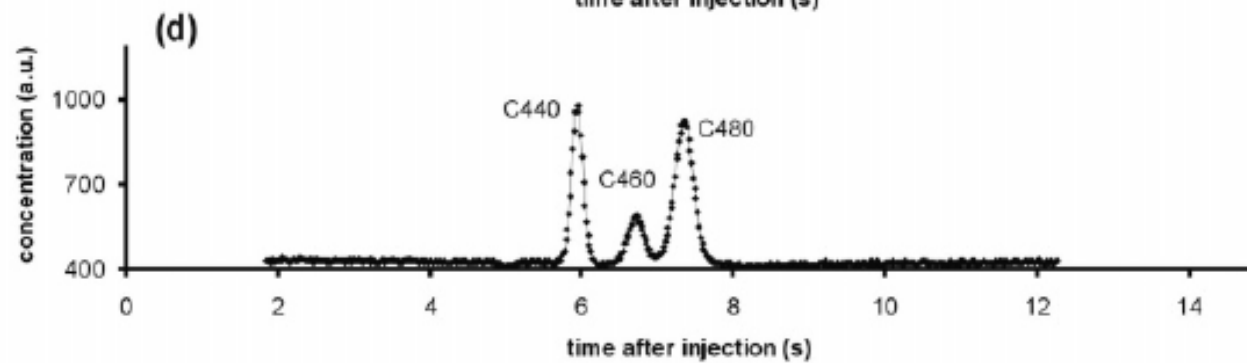
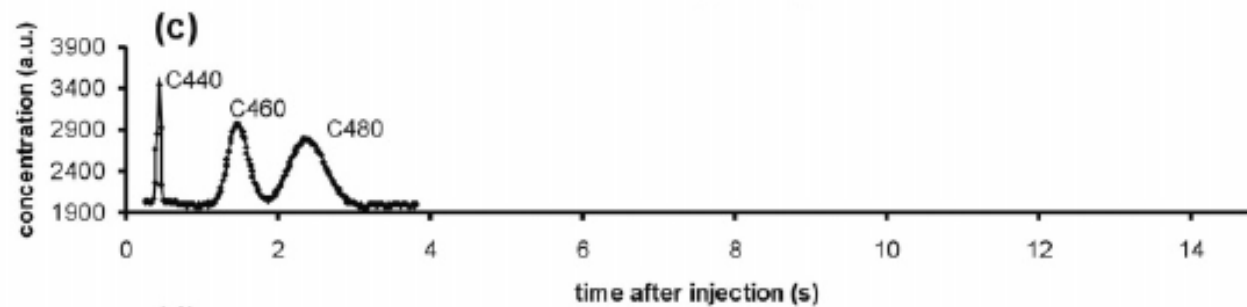
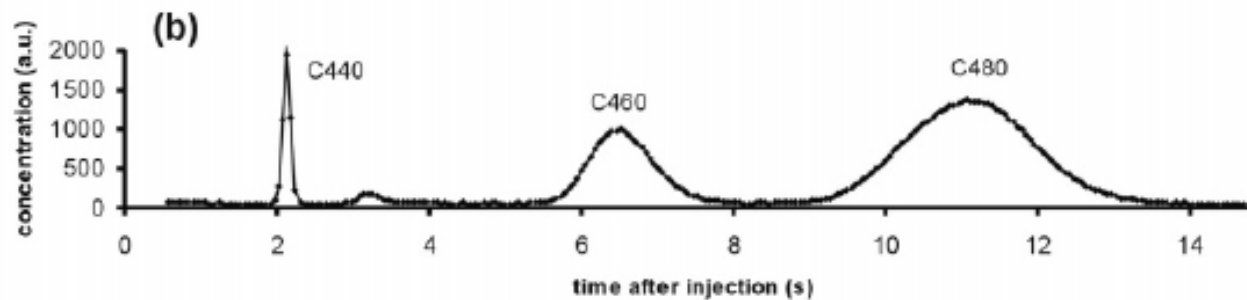
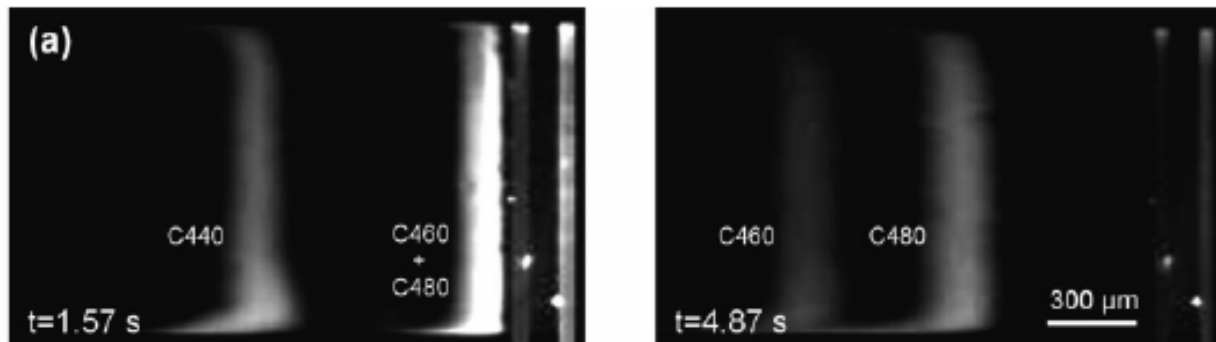


# Tracer dispersion analysis



Injection system & principle

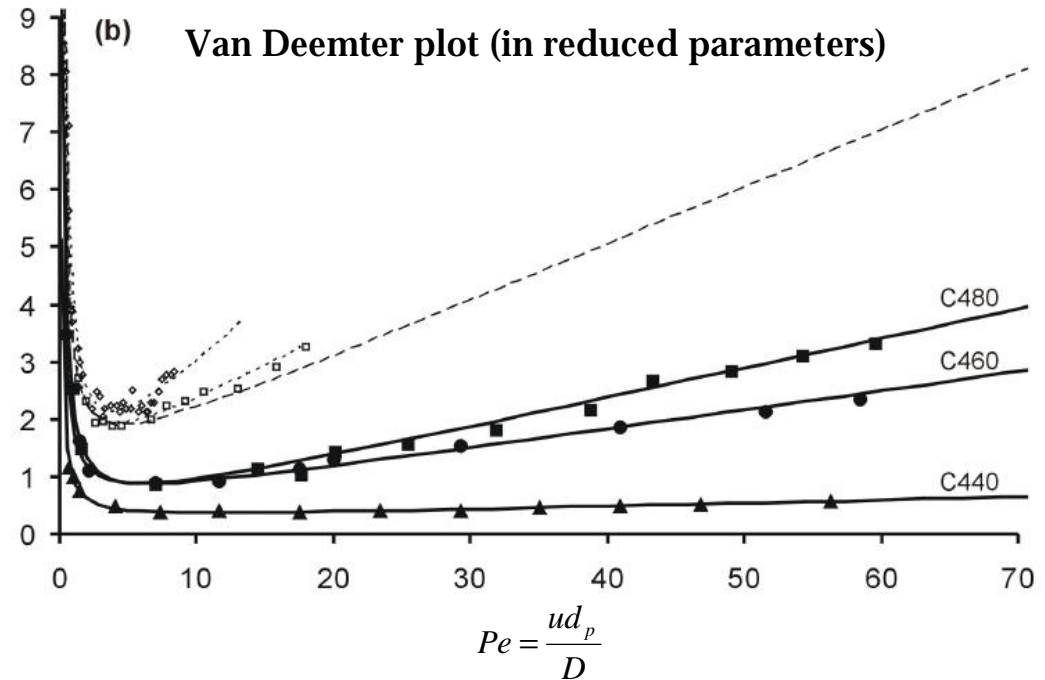




# Micromachined liquid chromatography columns



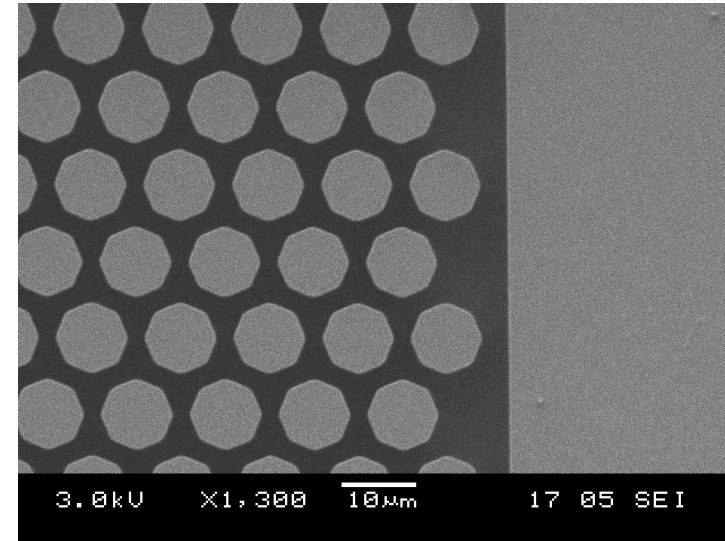
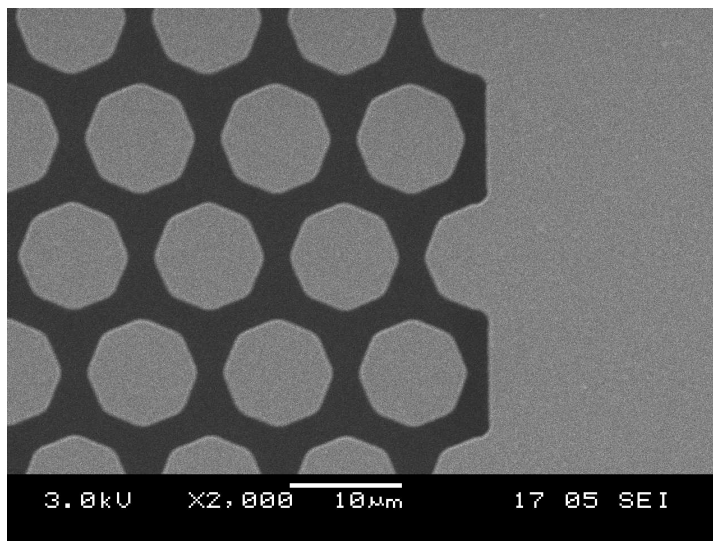
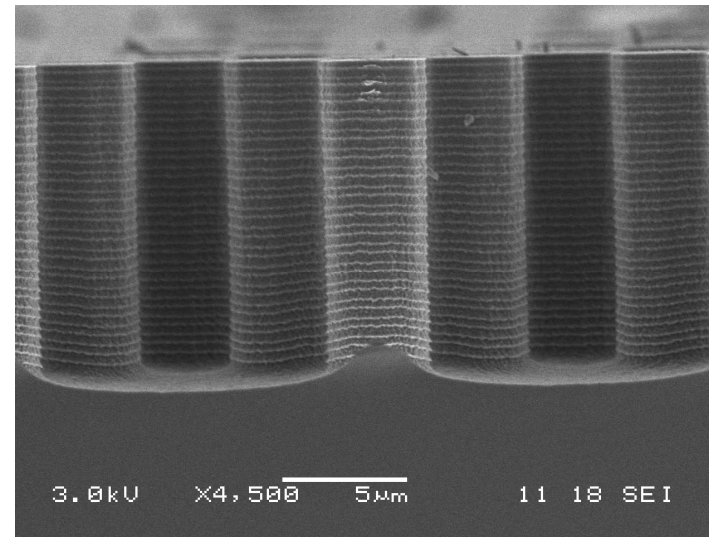
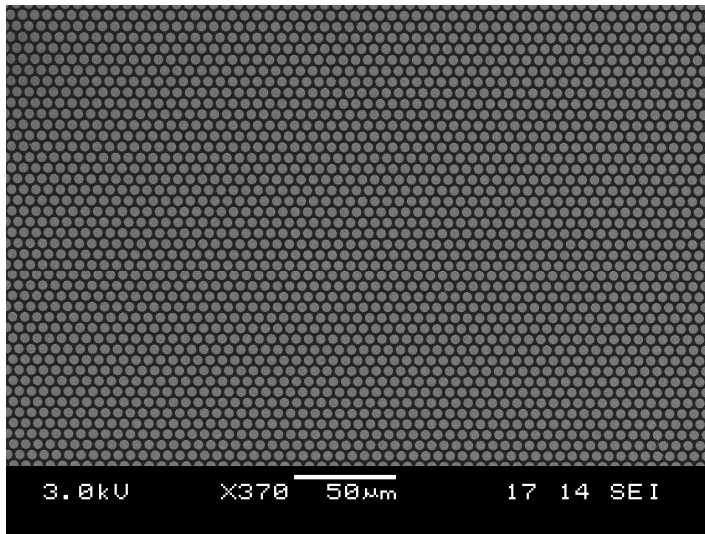
Separation of 0.25 mM coumarin dyes on C8-coated pillar column, in mobile phase of (20/80, v/v) methanol-water



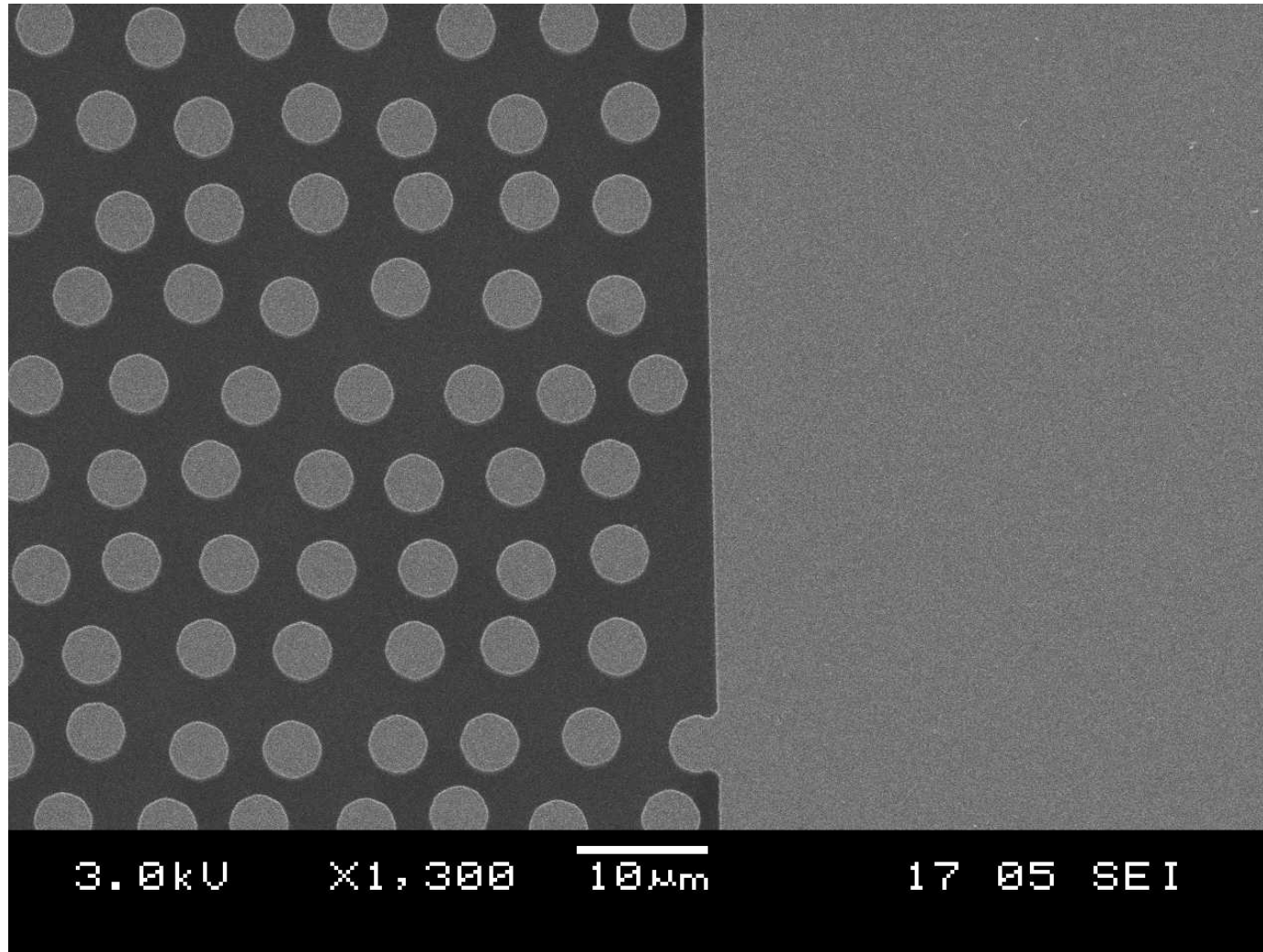
Van Deemter curves of coumarin dyes in mobile phase of (30/70, v/v) methanol-water and comparison with experimental values for 1.5 ( $\diamond$ ) and 3  $\mu\text{m}$  ( $\square$ ) non-porous particle packing (Wu et al.). Dashed curve: typical curve for packed bed

W. De Malsche e.a., Anal. Chem. 79, 2007, 5915

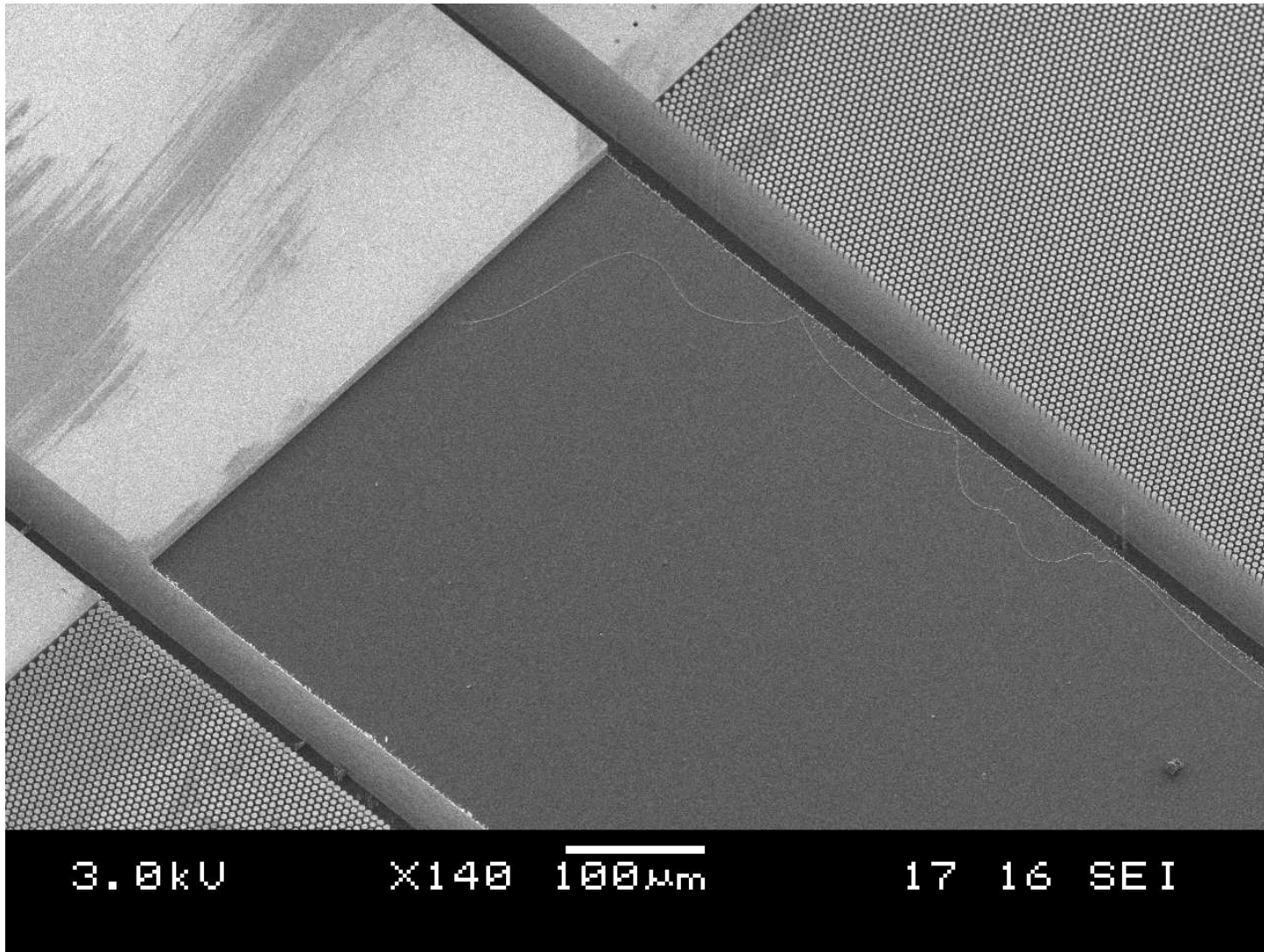
# Pictures of the column ("Bosch" etched)



# Etched microcolumns -random pillars



# Etched microcolumn -injector



# Different pillar shapes

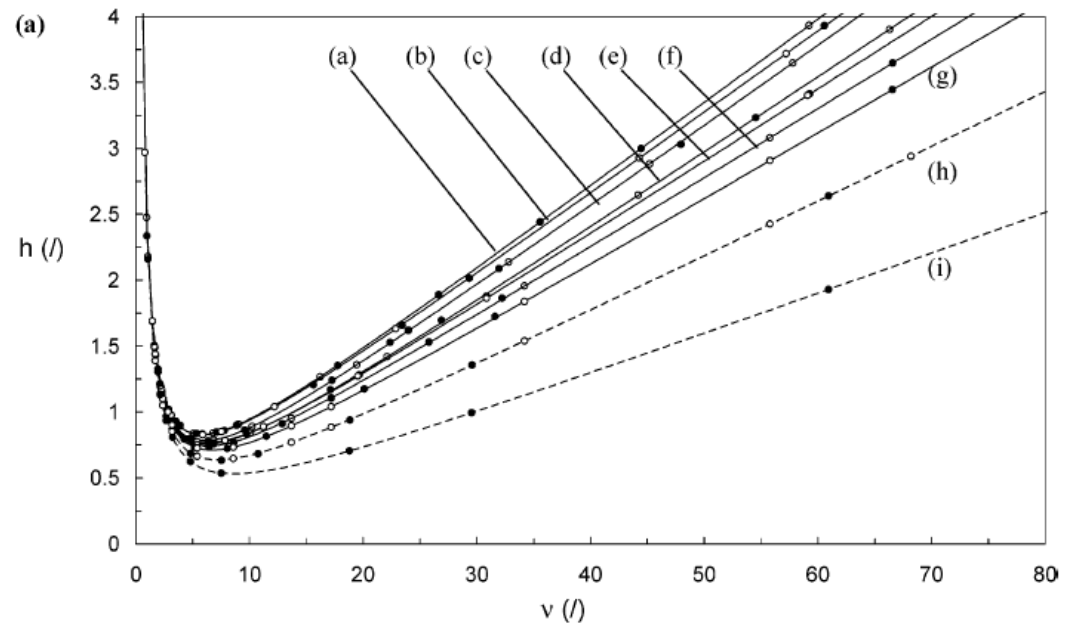
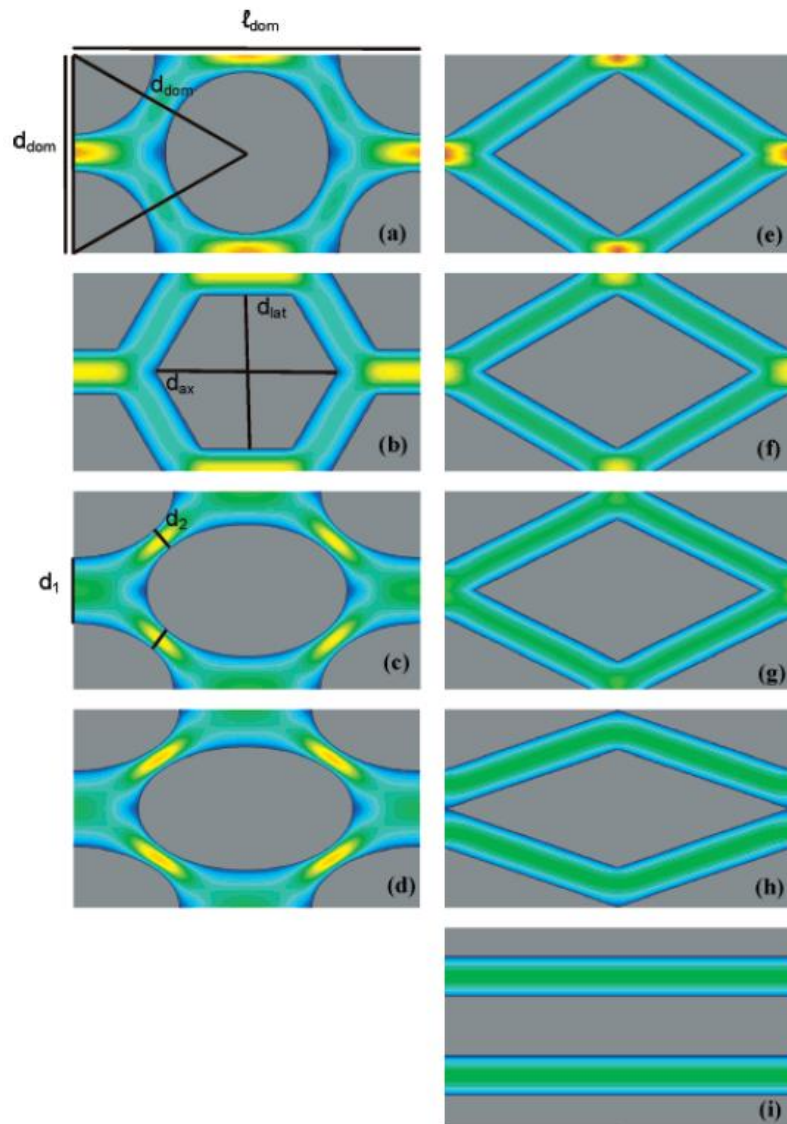
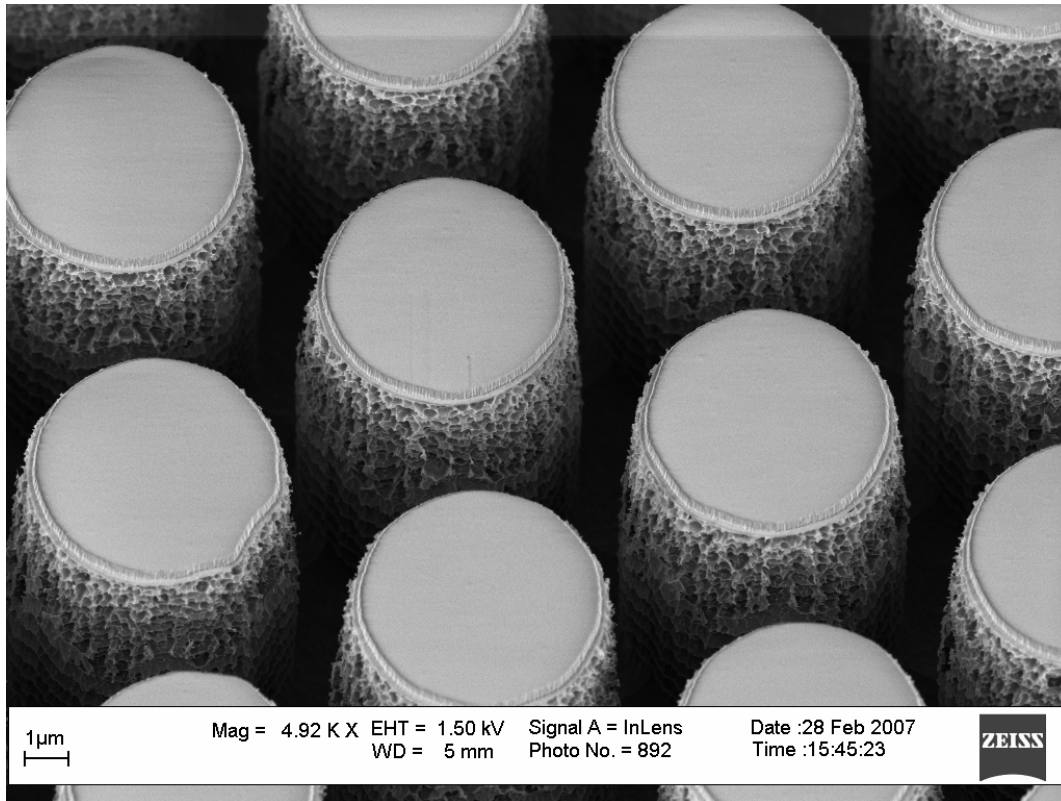


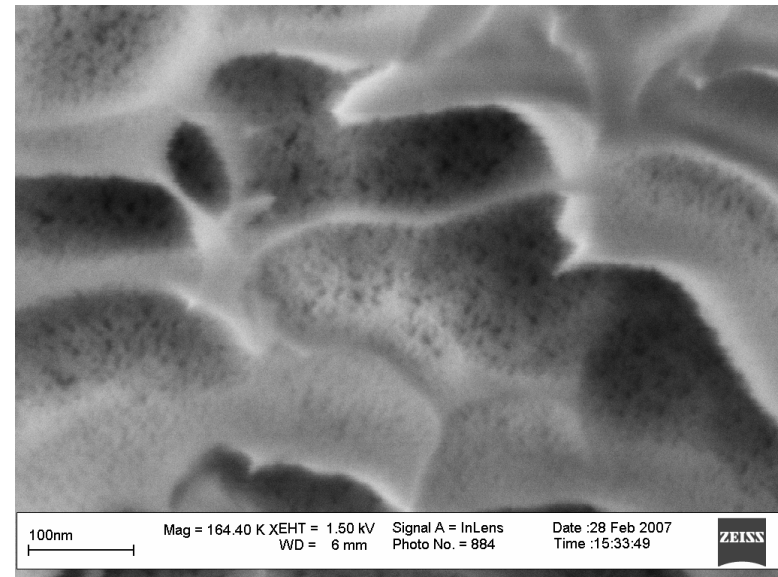
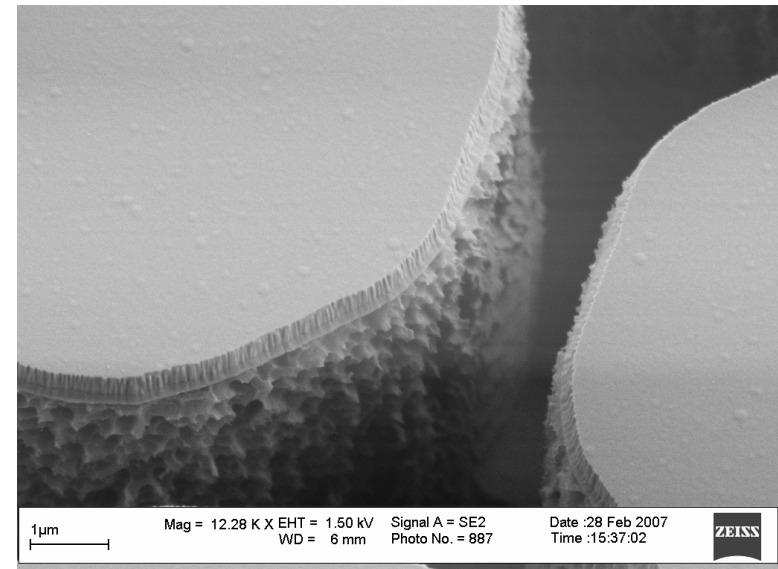
Plate heights (equivalent diameter: 1  $\mu\text{m}$ )

# Porous pillars



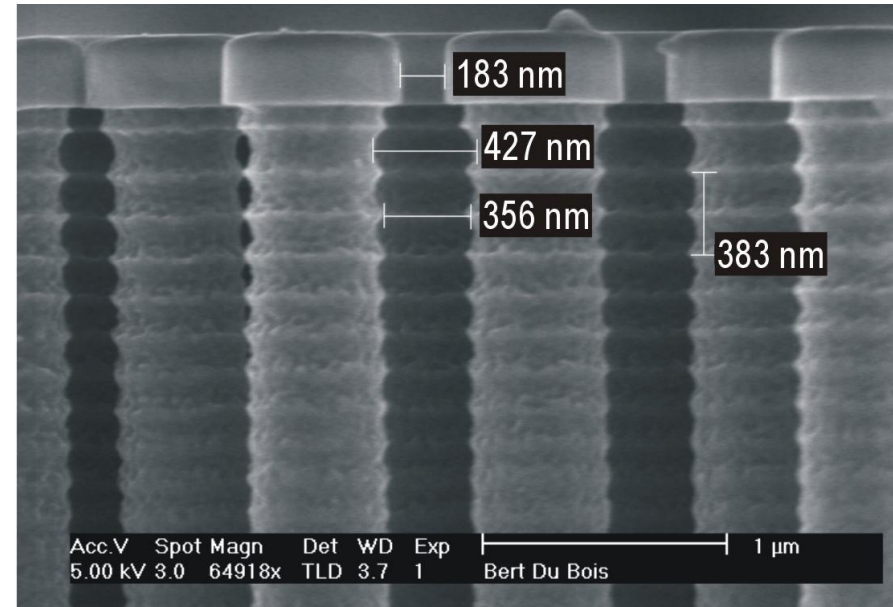
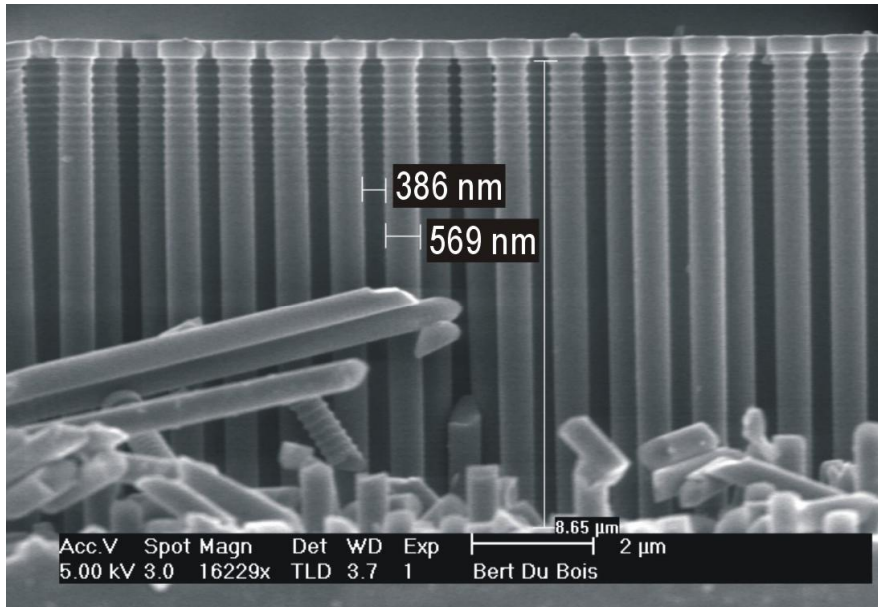
**Material: fused silica on silicon**  
**Method: anodization of silicon**

(W. De Malsche & V. Verdoold, to be presented at  $\mu\text{TAS}$  conf. Oct. 2007, Paris France)





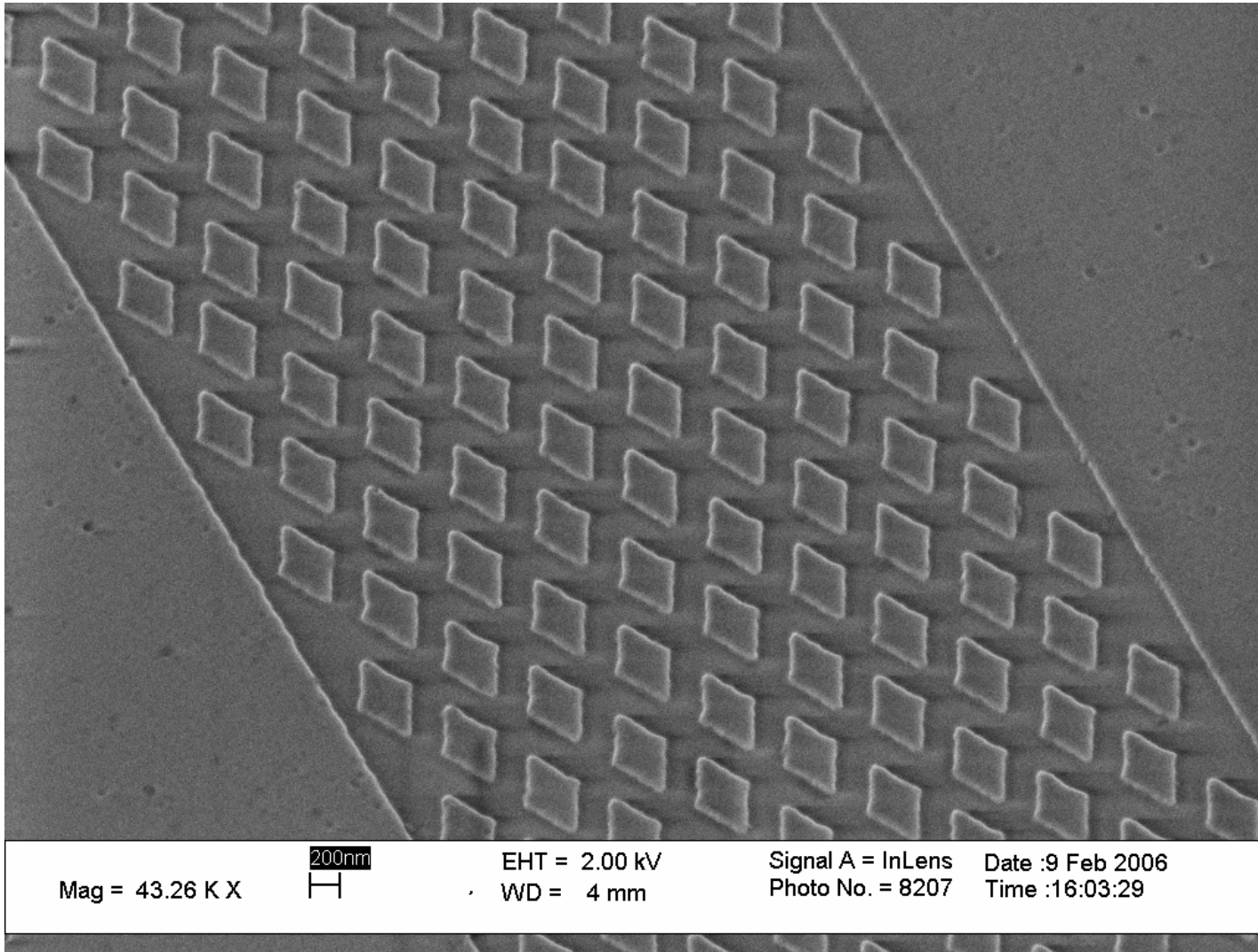
# Nano pillars



**Silicon pillars with diameter of 570 nm by Bosch-type deep reactive ion etching. Depth is 8.7 μm. The SiO<sub>2</sub> hard mask is still present on top of the pillars. Photolithography was done with a deep-UV wafer stepper ( $\lambda=193$  nm) at the IMEC institute, Leuven, Belgium**

**W. De Malsche, to be presented at  $\mu$ TAS conf. Oct. 2007, Paris France**

# Nano pillars by nano imprint lithogr.



# Addendum: Viscous fingering

"Saffman-Taylor instability"

resembles Rayleigh-Taylor instability (lecture Asinimov)

P.G. Saffman & G. Taylor, The penetration of a fluid into a porous medium or Hele-Shaw cell containing a more viscous liquid, Proc. Royal Soc. London A 245, 1958, p.312

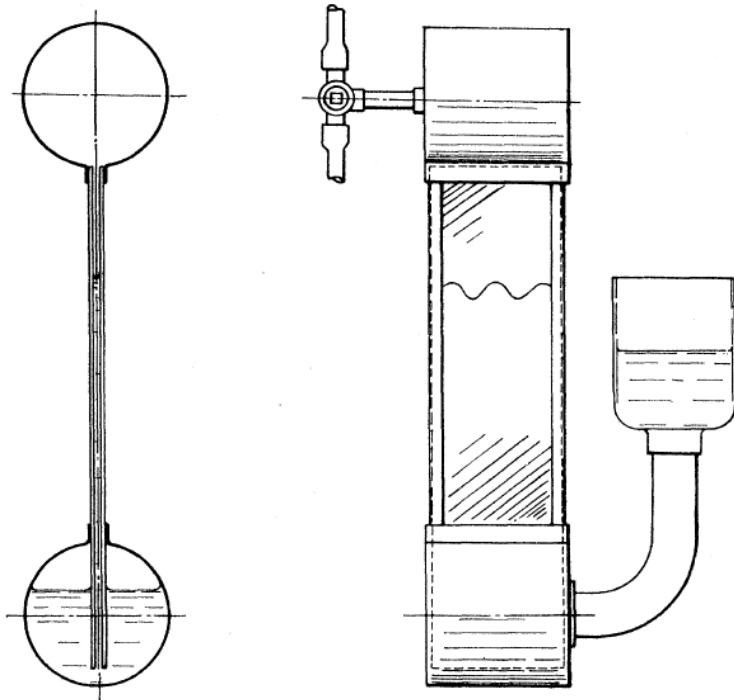


FIGURE 1. Sketch of Hele-Shaw cell.

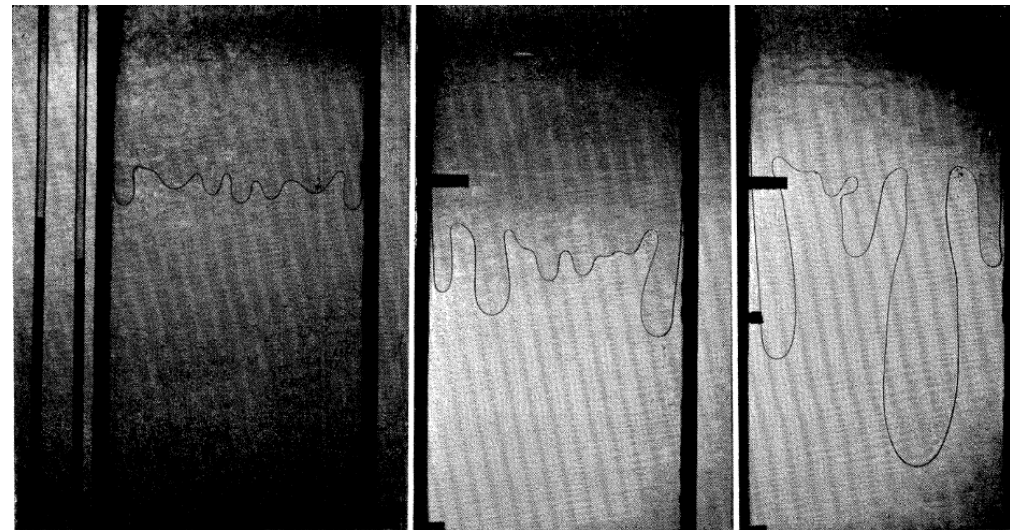


FIGURE 2

FIGURE 3

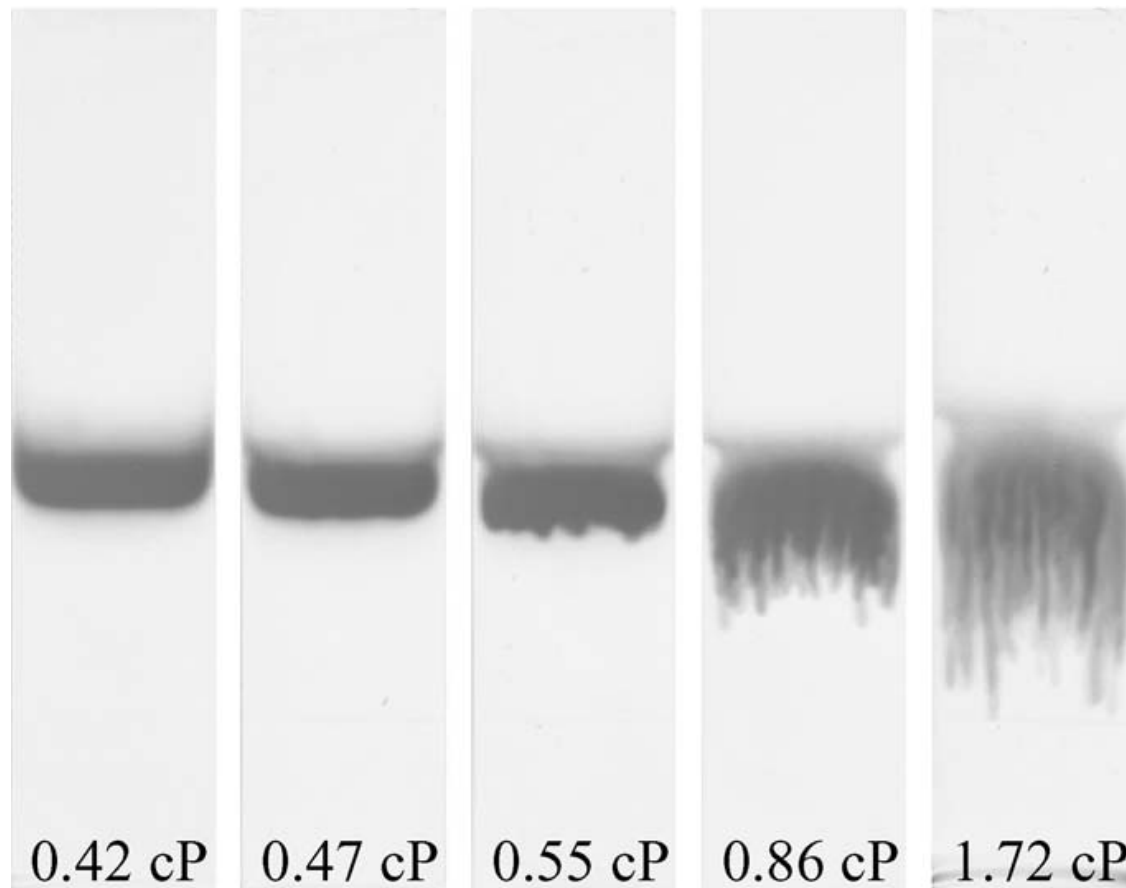
FIGURE 4

FIGURE 2. Interface between air and glycerine at an early stage of the instability.

FIGURE 3. Development of instability.

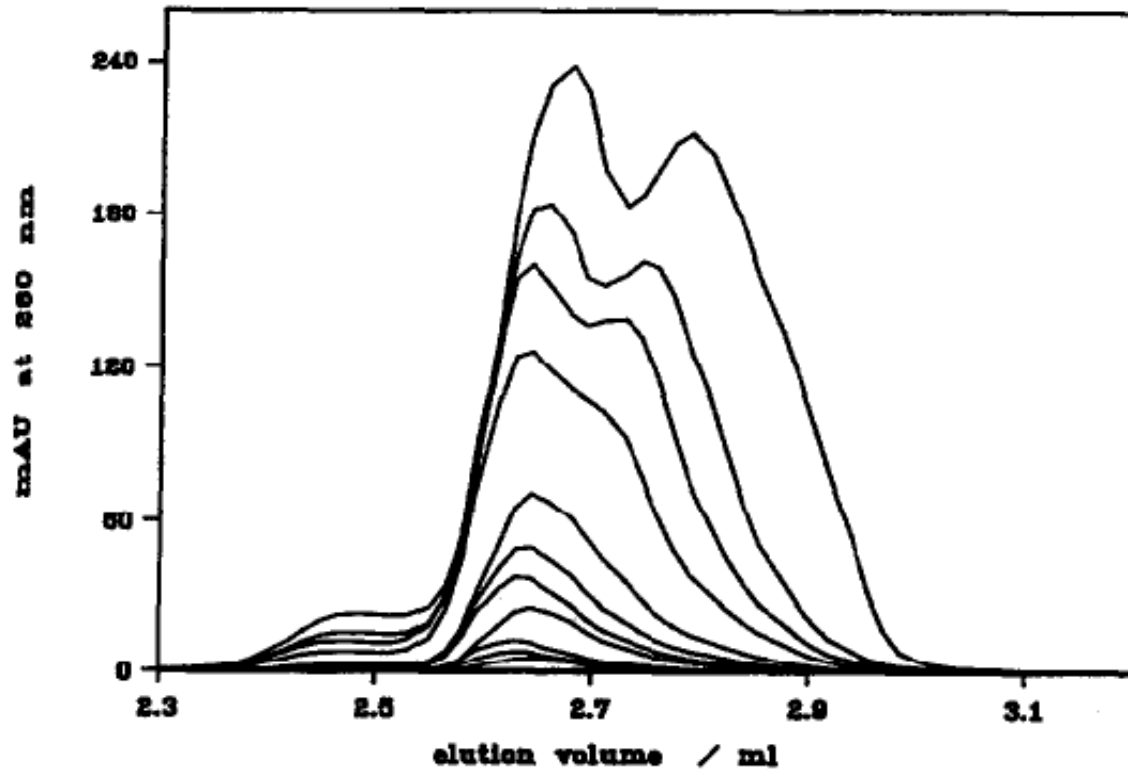
FIGURE 4. Inhibiting effect of a finger which gets ahead of its neighbour.

# Viscous fingering in chromatography



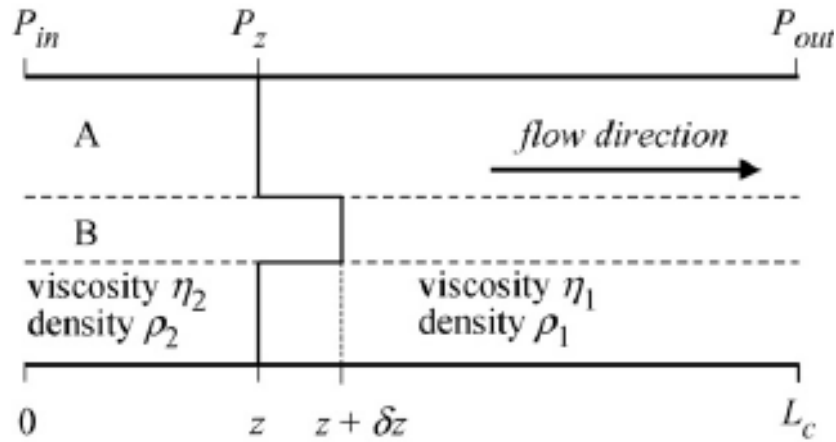
viscous fingering when the viscosity of the solute injection plug is less than the mobile phase. Solute injection plug viscosity was 0.38 cP, the mobile phase viscosity is noted below each photograph

# Peak distortion by viscous fingering



Elution profiles of chicken ovalbumin at increasing concentrations.  
"Overloading"

From: M. Czok e.a., J. Chrom. 550, 1991, p. 705



basic flow equation for porous medium:

$$u = \frac{k}{h} \left( -\frac{dP}{dz} + rdg \right) = \frac{k}{h} \left( \frac{P_{in} - P_{out}}{L_c} \right)$$

$$u_A = \frac{k}{h_2} \left( \frac{P_{in} - P_z}{z} \right) = \frac{k}{h_1} \left( \frac{P_z - P_{out}}{L_c - z} \right)$$

with:  $\Delta P = P_{in} - P_{out}$

$$\frac{\Delta P}{L_c} = u_A \left[ h_2 \frac{z}{L_c} + h_1 \left( 1 - \frac{z}{L_c} \right) \right]$$

similarly:

$$\frac{\Delta P}{L_c} = \frac{u_B}{k} \left[ h_2 \frac{z}{L_c} + h_1 \left( 1 - \frac{z}{L_c} \right) \right] + \frac{dz}{L_c} \left[ \frac{u_B}{k} (h_2 - h_1) \right]$$

leads to:

$$u_A - u_B = k \frac{dz}{L_c} \left[ \frac{u_B}{k} (h_2 - h_1) \right] \left[ h_2 \frac{z}{L_c} + h_1 \left( 1 - \frac{z}{L_c} \right) \right]^{-1}$$

stability criterion:  $u_A > u_B$  for  $\delta z > 0$  and  $u_A < u_B$  for  $\delta z < 0$ , i.e. the flow remains stable if:

$$\eta_2 > \eta_1$$