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International Centre for Theoretical Physics**



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**Sixth International Conference on Perspectives in Hadronic Physics**

*12 - 16 May 2008*

**New Measurements of the EMC Effect in Light Nuclei and at Large x**

D. Gaskell  
*Jefferson Lab*  
*USA*

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# New Measurements of the EMC Effect in Light Nuclei and at Large $x$

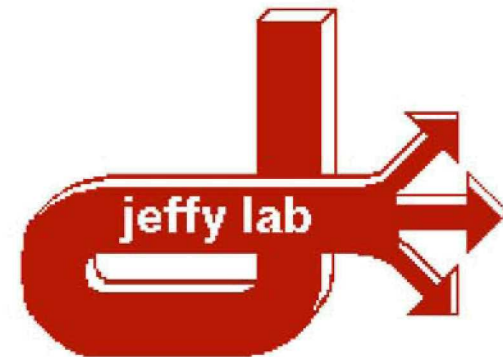
Dave Gaskell  
Jefferson Lab

*6<sup>th</sup> International Conference on Perspectives in Hadronic  
Physics  
May 13, 2008*

# Outline

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- The EMC Effect
  - Review of measurements
  - Limitations of the existing data
- JLab Experiment E03-103
  - Motivation
  - “Preliminary” results



"Beam in 30 minutes or it's free"



# Quarks in the Nucleus

- Typical nuclear binding energies  $\sim$  MeV while DIS scales  $\rightarrow$  GeV
- Naïve expectation:

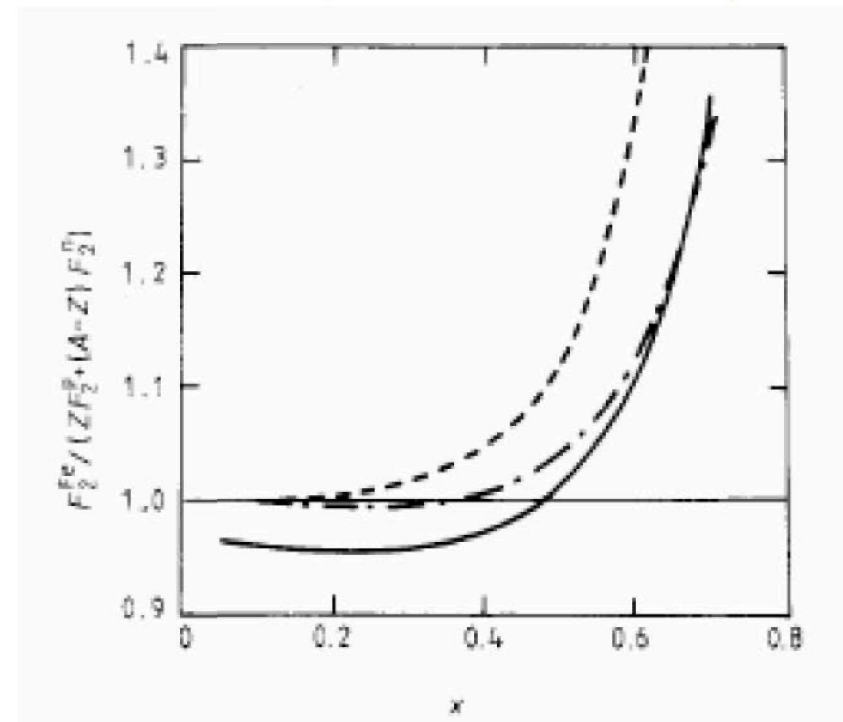
$$F_2^A(x) = ZF_2^p(x) + (A-Z)F_2^n(x)$$

- More sophisticated approach includes effects from Fermi motion

$$F_2^A(x) = \sum_i \int_x^{M_A/m_N} dy f_i(y) F_2^N(x/y)$$

- Quark distributions in nuclei were not expected to be significantly different (below  $x=0.6$ )

$$F_2^{Fe} / (ZF_2^p + (A-Z)F_2^n)$$



Bodek and Ritchie  
PRD 23, 1070 (1981)

# EMC Effect and Quark Distributions in Nuclei

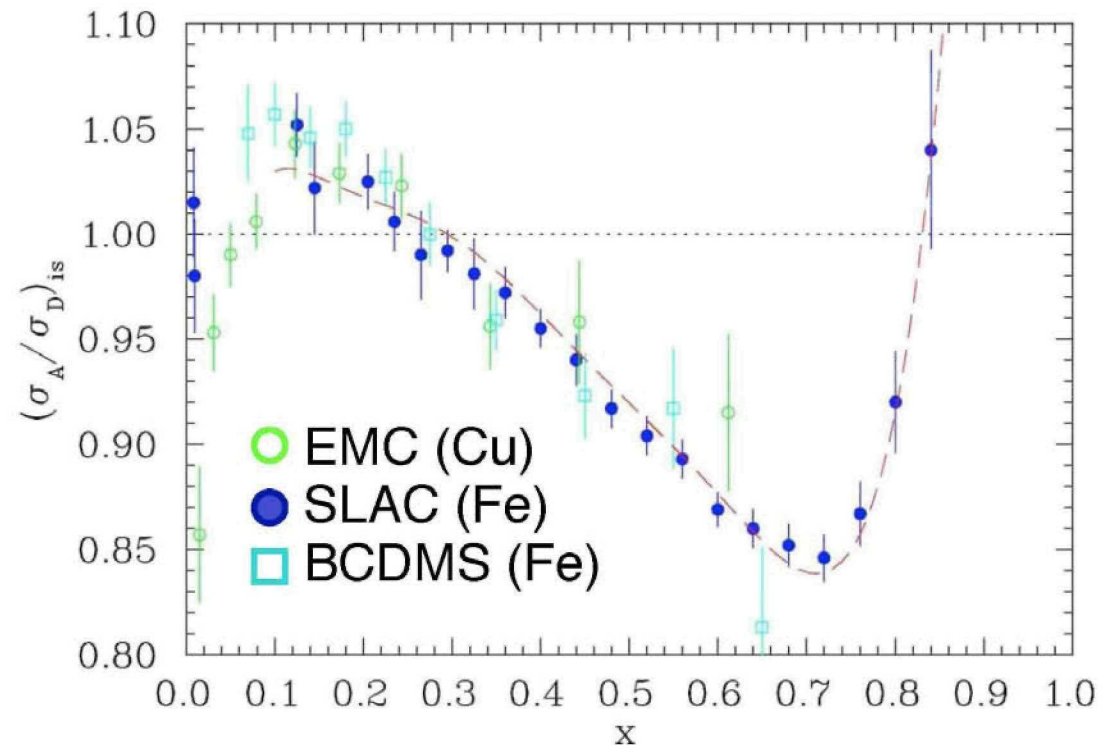
Measurements of  $F_2^A / F_2^D$  (EMC, SLAC, BCDMS,...) have shown the naïve expectation is *wrong* - quark distributions are modified in nuclei.

Observed properties:

1.  $x$ -dependence is the same for all  $A$

Shadowing:  $x < 0.1$   
Anti-shadowing:  $0.1 < x < 0.3$   
EMC effect:  $x > 0.3$

2. Size of the effect depends on  $A$  (i.e., minimum at  $x=0.7$ )



# EMC Effect Measurements at Large $x$

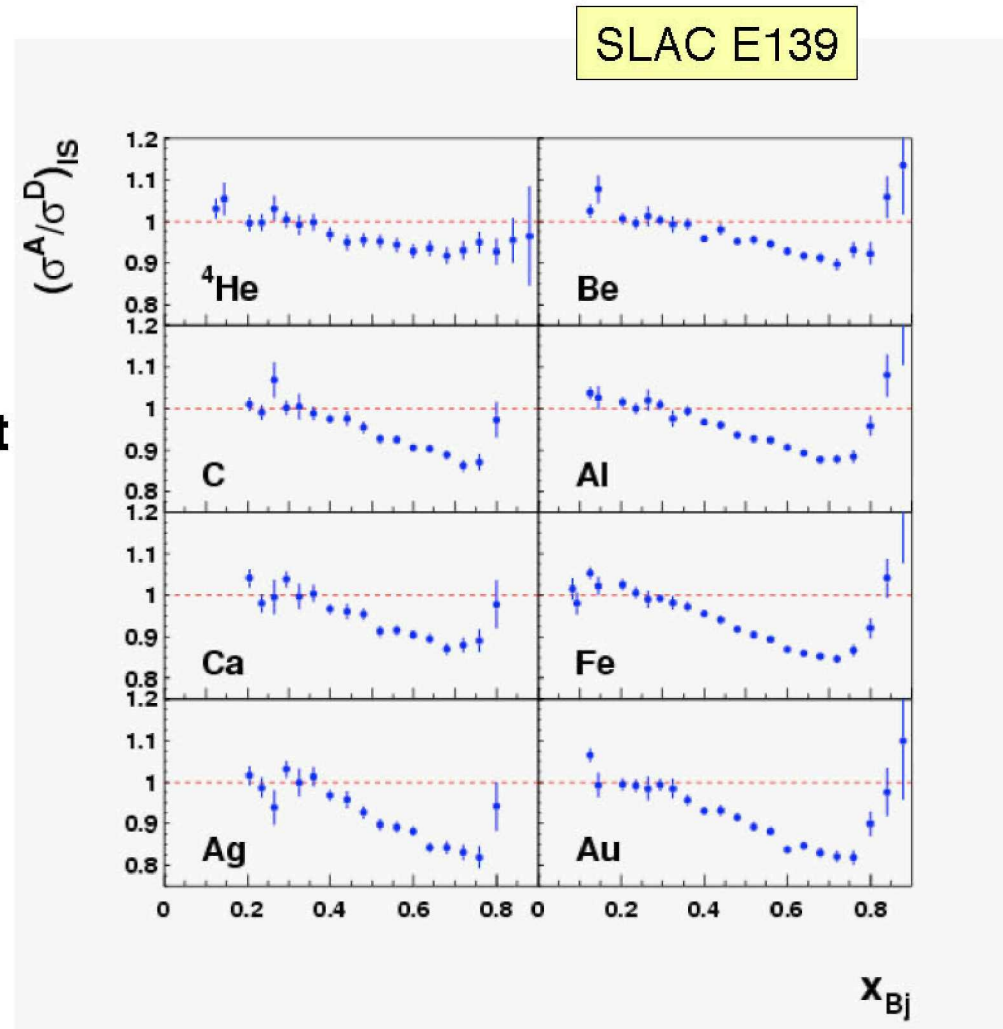
**SLAC E139 most extensive and precise data set for  $x > 0.2$**

Measured  $\sigma_A/\sigma_D$  for  $A=4$  to 197  
 ${}^4\text{He}$ ,  ${}^9\text{Be}$ ,  $\text{C}$ ,  ${}^{27}\text{Al}$ ,  ${}^{40}\text{Ca}$ ,  ${}^{56}\text{Fe}$ ,  ${}^{108}\text{Ag}$ ,  ${}^{197}\text{Au}$

**Size at fixed  $x$  varies with  $A$ , but shape ( $x$  dep.) nearly constant**

**Potential improvements to existing data**

- Higher precision data for  ${}^4\text{He}$
- Addition of  ${}^3\text{He}$  data
- Precision data at large  $x$



# EMC Effect Model Issues

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1. Conventional nuclear physics based explanations (convolution calculations)
  - Fermi motion alone clearly not sufficient
  - Early attempts to combine Fermi motion effects and binding were fairly simplistic
  - Even more sophisticated approaches (spectral function) fail unless one includes “nuclear pions”

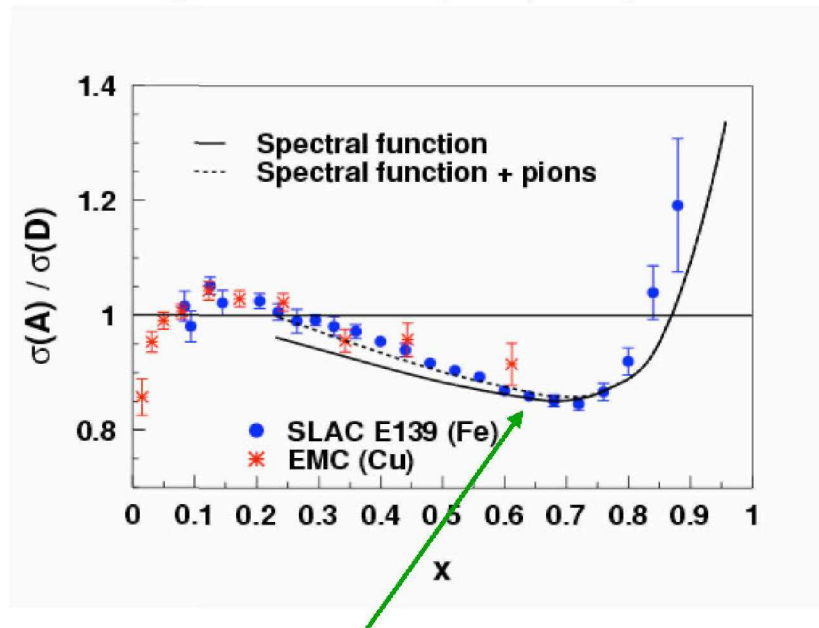
*Size of contributions from nuclear pions typically used in DIS calculations inconsistent with nuclear dependence of Drell-Yan*

2. “Exotic” effects
  - Medium effects on quark distributions themselves → dynamical rescaling, multiquark clusters, etc.

→ Uncertainties in **1** make it difficult to determine what role mechanisms in **2** play in observed EMC effect

# EMC Effect Calculations

*Benhar, Pandharipande, and Sick  
Phys. Lett. B410, 79 (1997)*

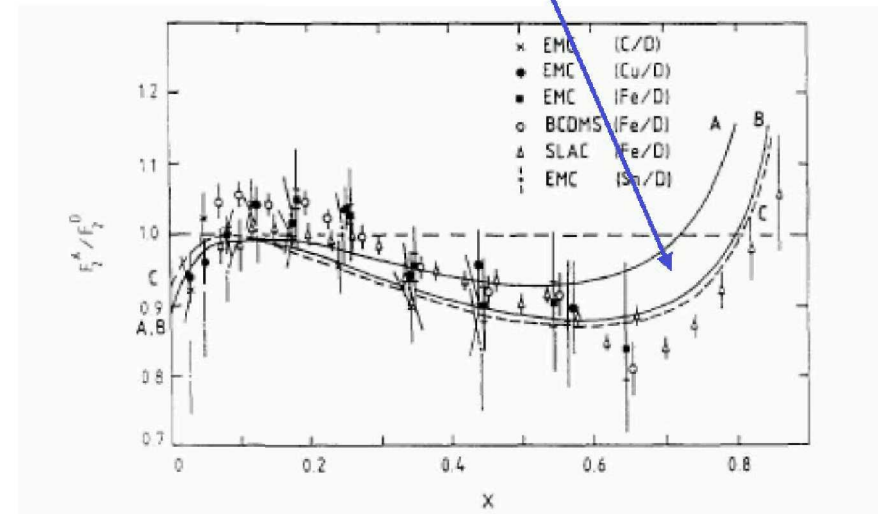


## Conventional Models

- Some combination of Fermi motion and binding
- Fermi motion + binding + nuclear pions

## Exotic Models

- Dynamical rescaling
- Multiquark clusters



*K.E. Lassila and U.P. Sakhatme  
Phys. Lett. B209, 343 (1988)*



# JLab Experiment E03-103

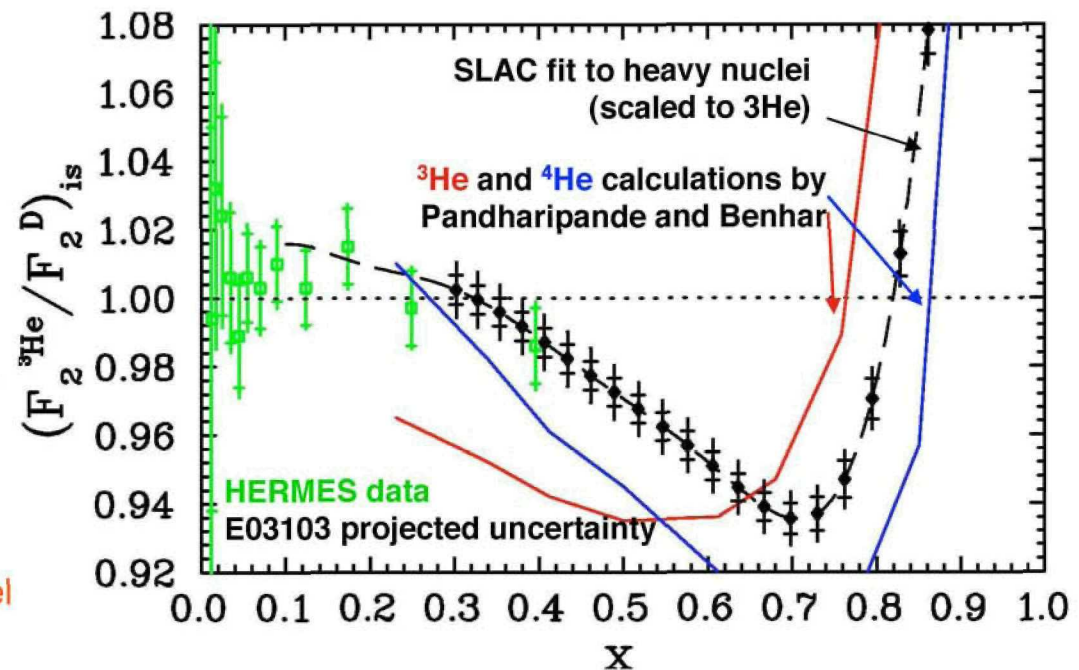
Measurement of the EMC Effect in **light nuclei** ( $^3\text{He}$  and  $^4\text{He}$ ) and at **large x**

- $^3\text{He}$ ,  $^4\text{He}$  amenable to calculations using “exact” nuclear wave functions
- Large x dominated by binding, conventional nuclear effects

$A(e,e')$  at 5.77 GeV in Hall C

- Targets: **H**,  $^2\text{H}$ ,  $^3\text{He}$ ,  $^4\text{He}$ , Be, C, Cu, Au
- Six angles to measure  $Q^2$  dependence

Spokespersons: **DG** and **J. Arrington**  
Graduate students: **J. Seely** and **A. Daniel**

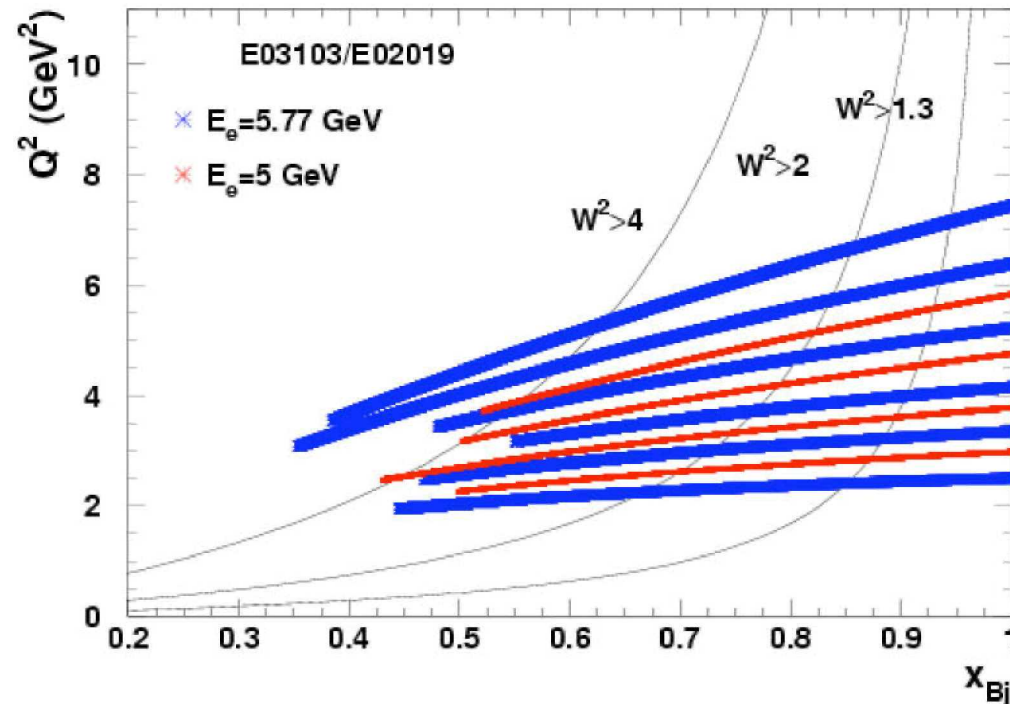


# Deep Inelastic Scattering at low $W$

Canonical DIS regime:

$$Q^2 > 1 \text{ GeV}^2 \quad \text{AND} \\ W^2 > 4 \text{ GeV}^2$$

→ Scattering from “quarks” in the nucleon or nucleus



- At JLab, we have access to large  $Q^2$ , and  $W^2 > 4 \text{ GeV}^2$  up to  $x = 0.6$
- At  $x > 0.6$ , we are in the “resonance region” → excited, bound states of the nucleon, but  $Q^2$  is still large
- Are we really sensitive to quarks in this regime?

# EMC Effect in Resonance Region

JLab E89-008:

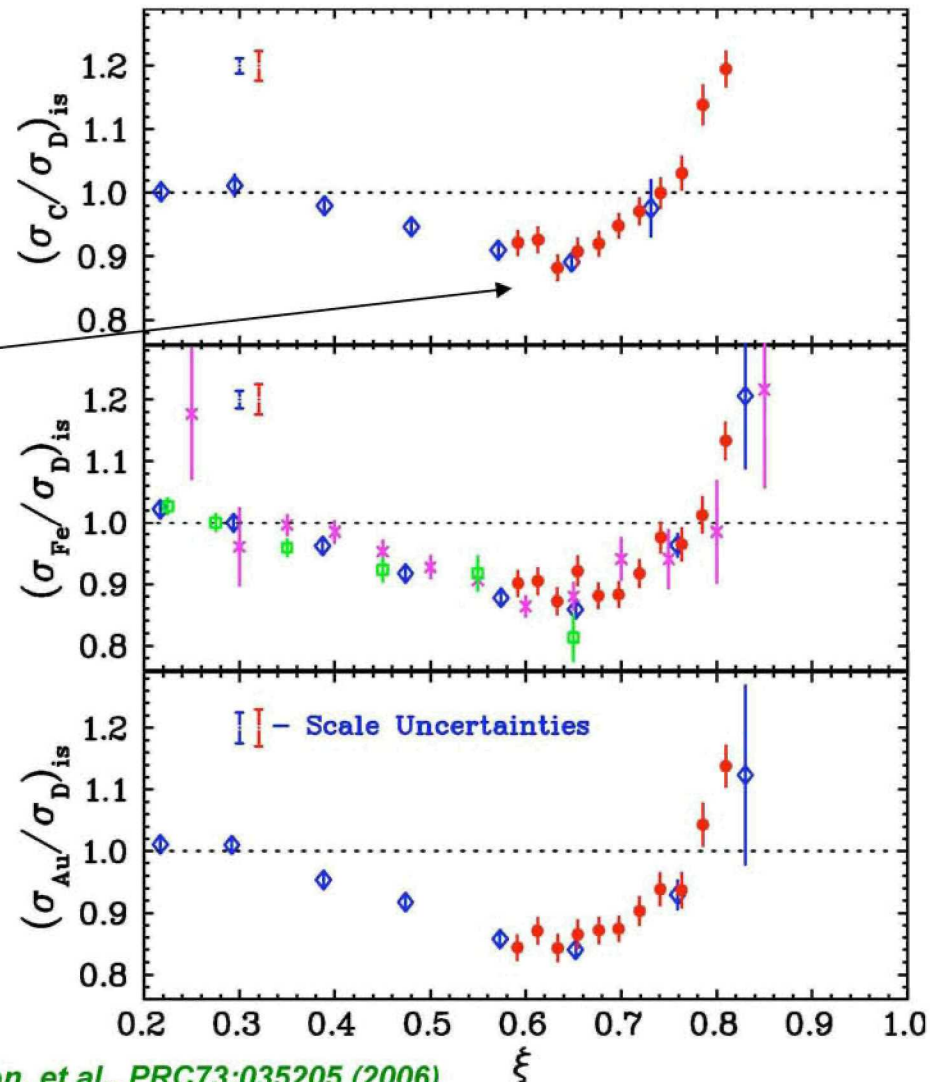
$Q^2 \sim 4 \text{ GeV}^2$

$1.3 < W^2 < 2.8 \text{ GeV}^2$

data in the resonance region

→ In region of overlap agrees well with DIS data

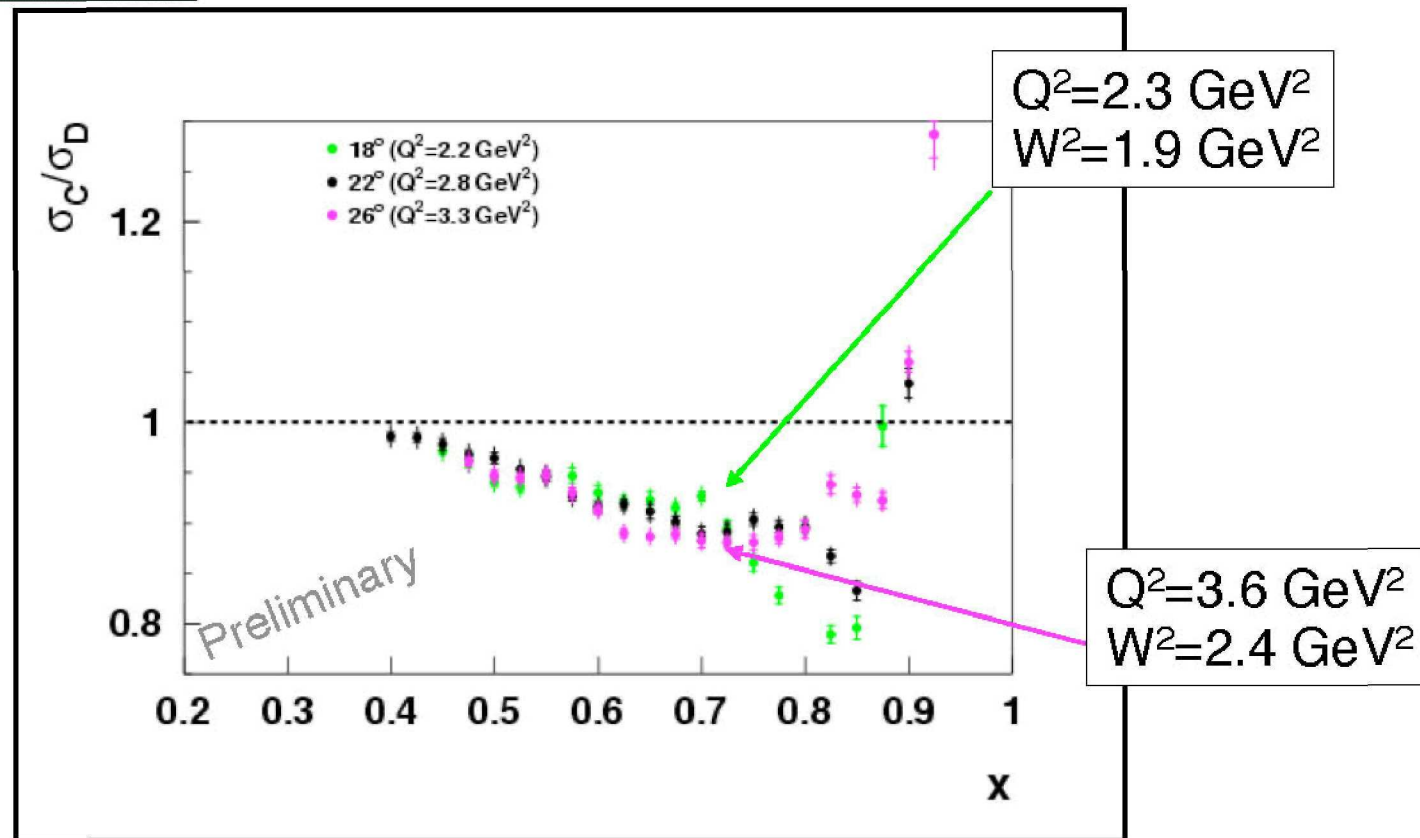
E03-103 data are at higher  $Q^2$ , will test scaling with precise measurement of  $Q^2$ -dependence



J. Arrington, et al., PRC73:035205 (2006)

# Carbon/<sup>2</sup>H Ratio and Q<sup>2</sup> Dependence

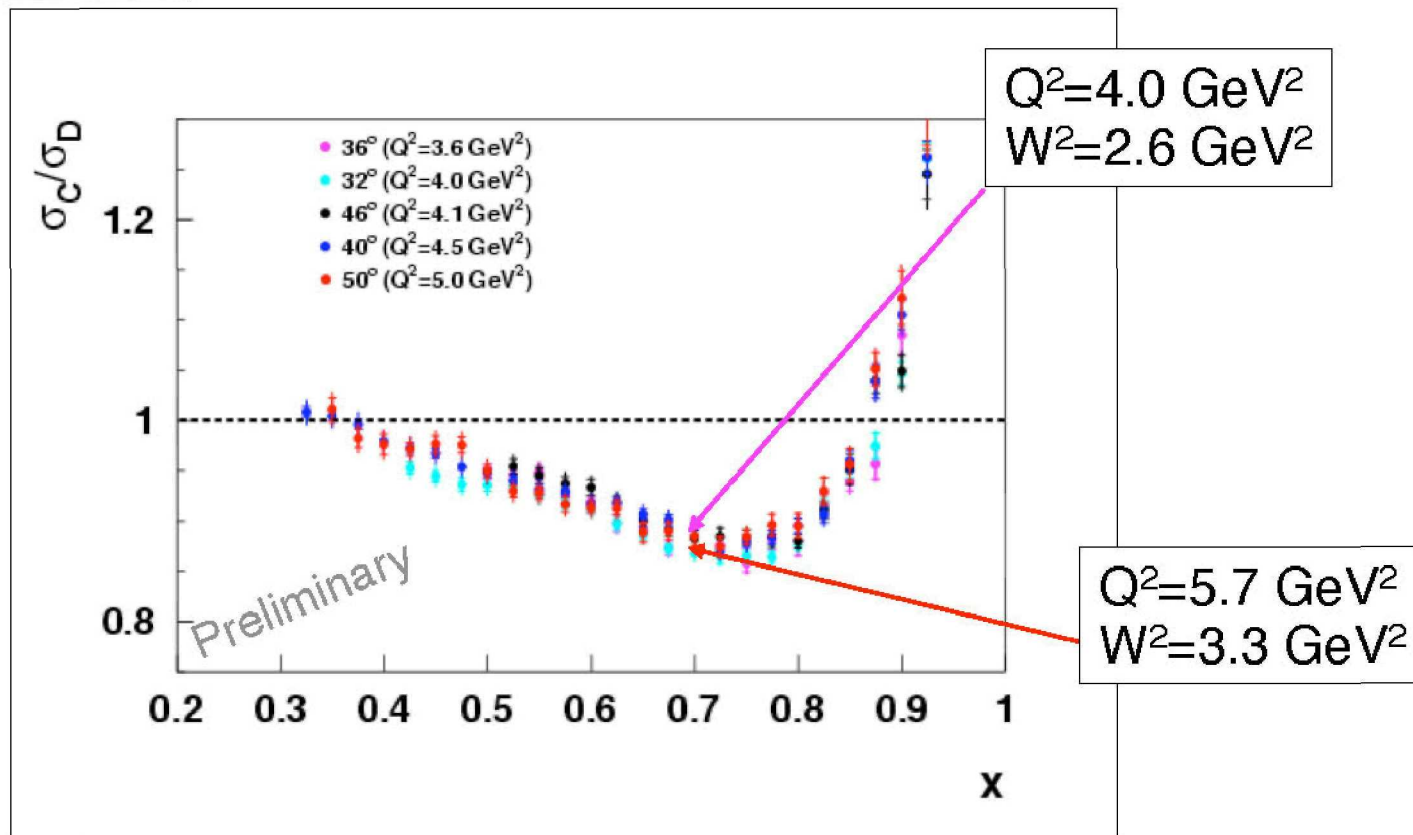
## E03-103 Results



Small angle, low  $Q^2 \rightarrow$  clear scaling violations for  $x > 0.7$ , but surprisingly good at lower  $x$

# Carbon/<sup>2</sup>H Ratio and Q<sup>2</sup> Dependence

## E03-103 Results



At larger angles ( $Q^2$ )  $\rightarrow$  ratio appears to scale to very large  $x$

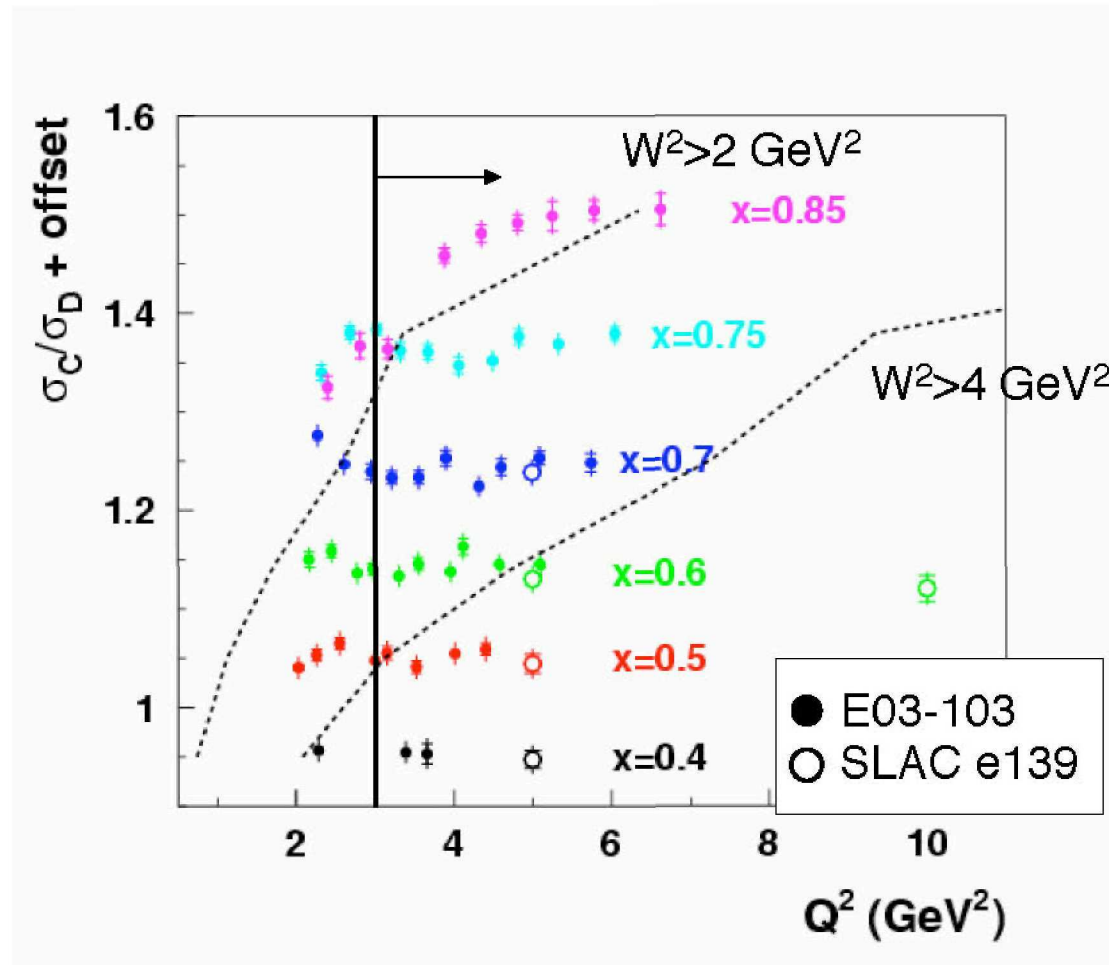
# More detailed look at scaling

C/D ratios at fixed  $x$  are  $Q^2$  independent for

$W^2 > 2 \text{ GeV}^2$  and  
 $Q^2 > 3 \text{ GeV}^2$

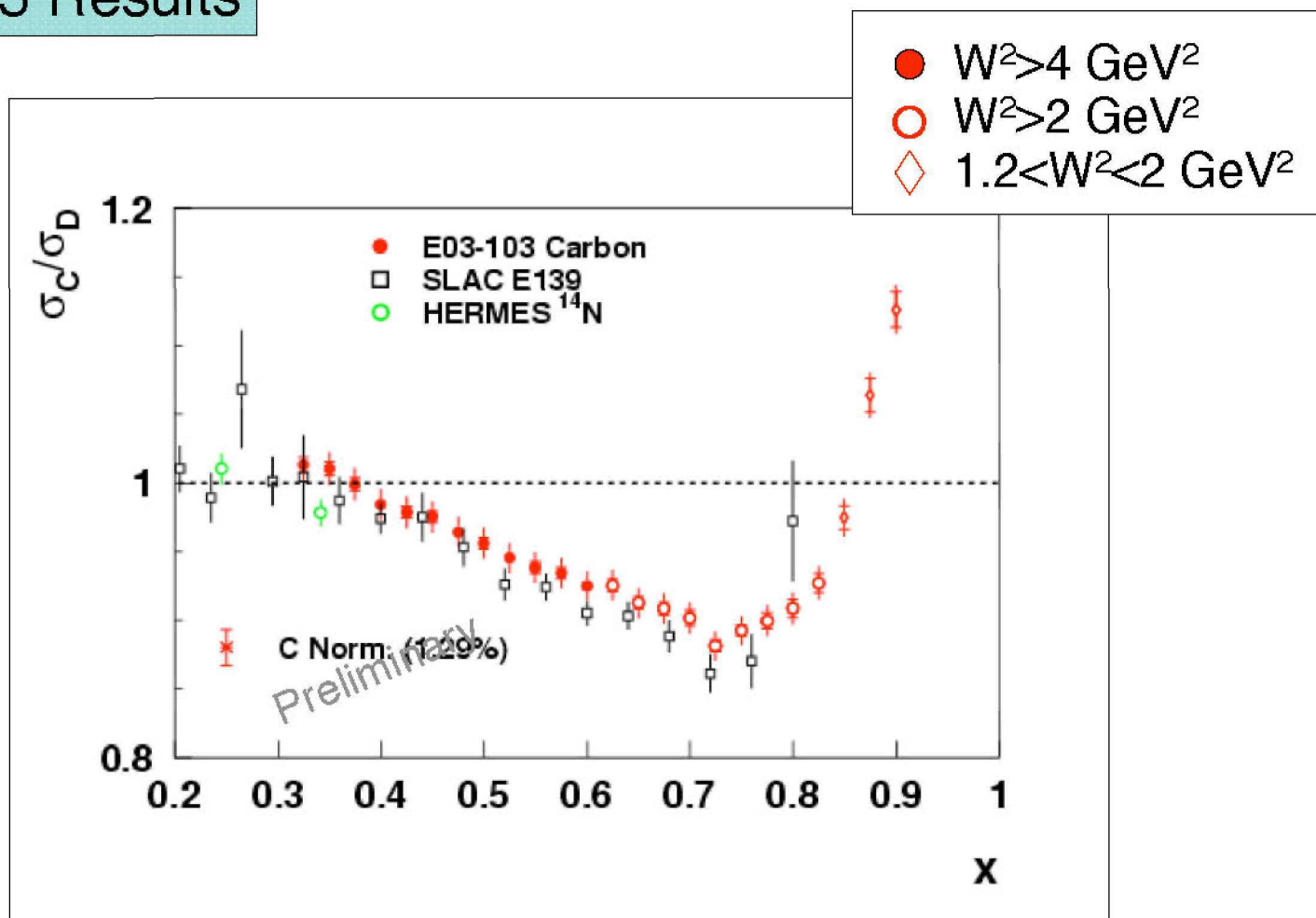
Limits E03-103  
coverage to  $x=0.85$

Ratios at larger  $x$   
will be shown, but  
should be taken  
cautiously



# Carbon/<sup>2</sup>H Ratio

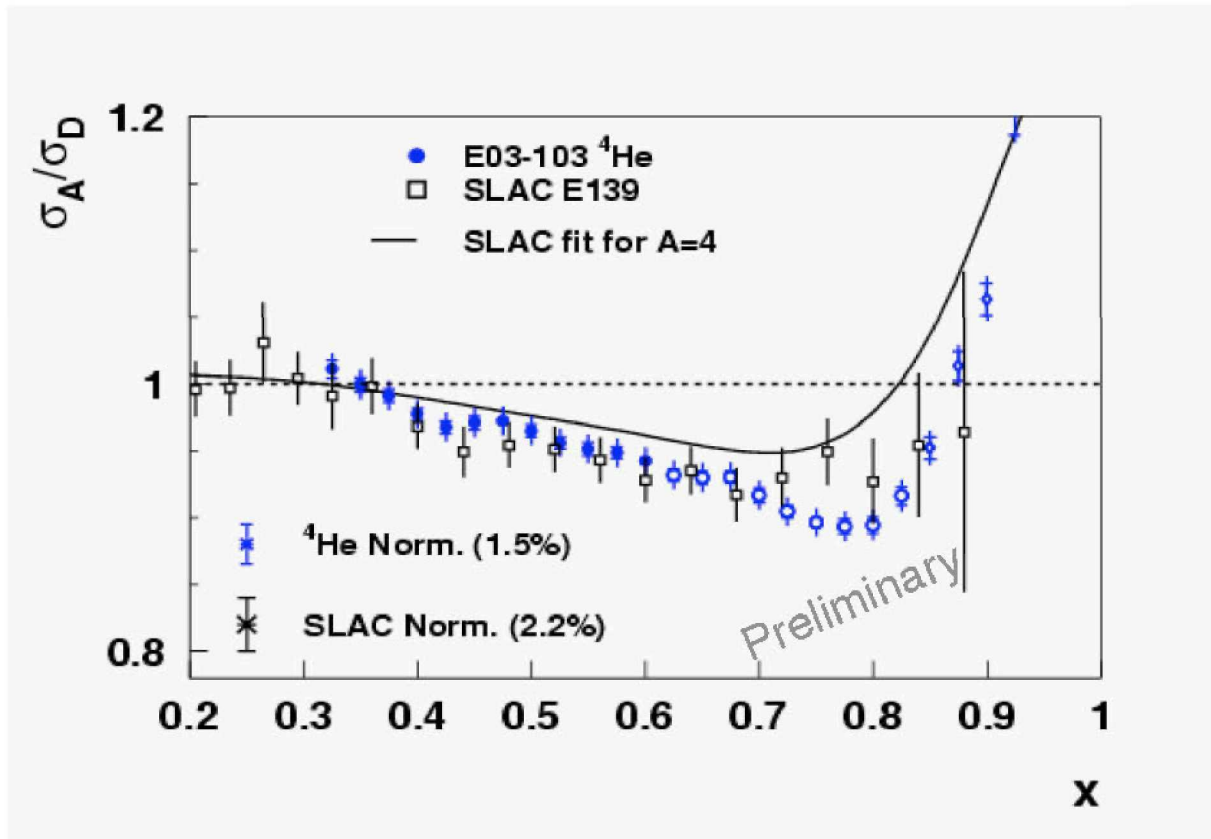
## E03-103 Results



# Light Nuclei: EMC Effect in $^4\text{He}$

JLab results consistent with SLAC E139  
→ Improved statistics and systematic errors

Large x shape more clearly consistent with heavier nuclei



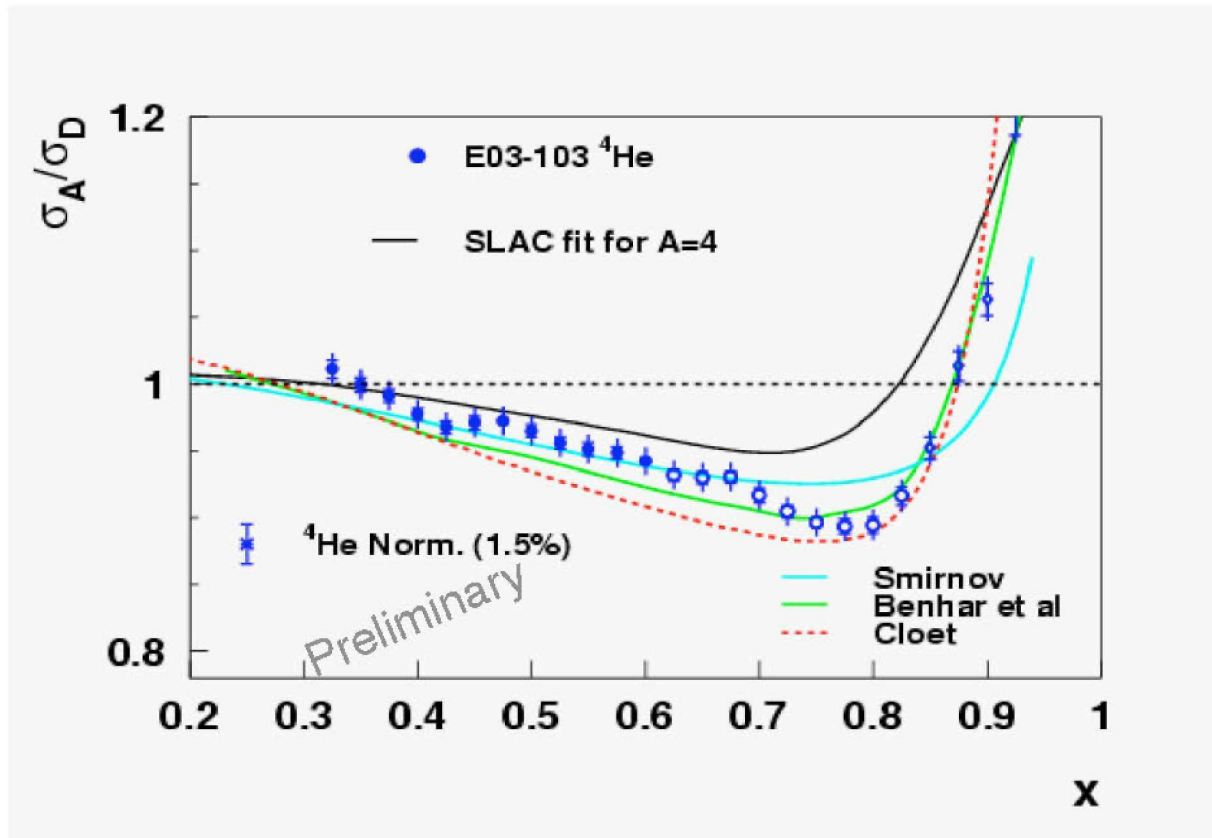


# EMC Effect in ${}^4\text{He}$

JLab results consistent with SLAC E139  
→ Improved statistics and systematic errors

Large  $x$  shape more clearly consistent with heavier nuclei

Models shown do a reasonable job describing the data, but there is room for improvement



Cloet = *private communication*, “QMC”-inspired model [see PLB 642, 210 (2006)]

Smirnov = *Burov, Molochkov and Smirnov* [PLB 466, 1 (1999)]

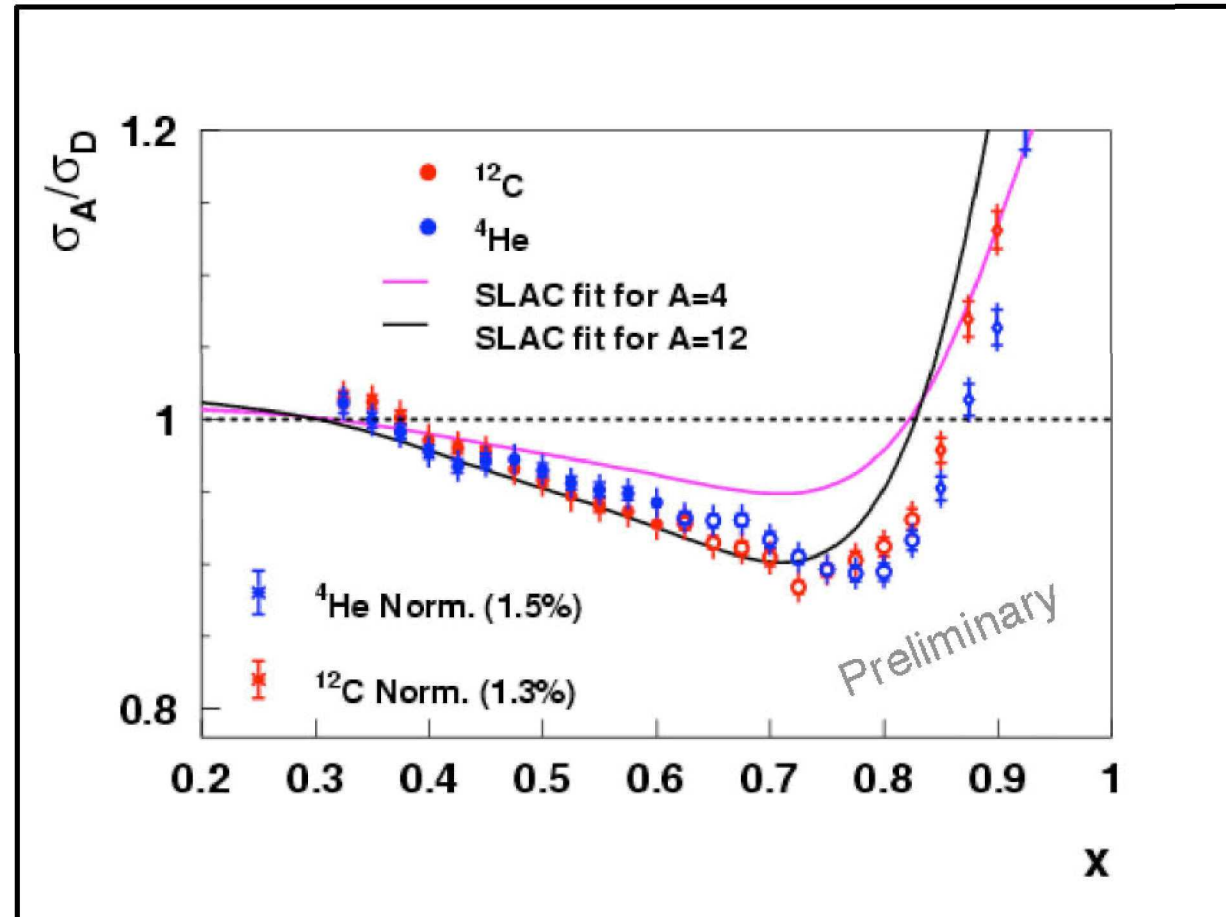
Benhar = *private communication*, Argonne  $v_{14}$  + Urbana VII 3N

# Carbon to $^4\text{He}$ Comparison

Magnitude of the EMC Effect for C and  $^4\text{He}$  very similar

$^4\text{He}$  more consistent with SLAC A=12 fit than A=4

→  $^4\text{He}$  acts like a “real nucleus”



Some hint of difference in shape, but hard to tell with existing errors

# Isoscalar Corrections

- When extracting cross section ratios, want to compare a nucleus with  $Z=N$  protons and neutrons to deuterium ( $Z=1, N=1$ )
- In some cases, nature is kind enough to provide this for us ( $^4\text{He}$ , Carbon)
- As  $A$  gets large, typically have more neutrons than protons ( $^3\text{He}$  more protons than neutrons)
- $\sigma_A/\sigma_D$  must be corrected for non-isoscalarity of nucleus

$$\left(\frac{\sigma_A}{\sigma_D}\right)_{ISO} = \left(\frac{\sigma_A}{\sigma_D}\right)_{MEAS} \frac{\frac{A}{2} \left(1 + \frac{\sigma_n}{\sigma_p}\right)}{Z + (A - Z) \frac{\sigma_n}{\sigma_p}}$$

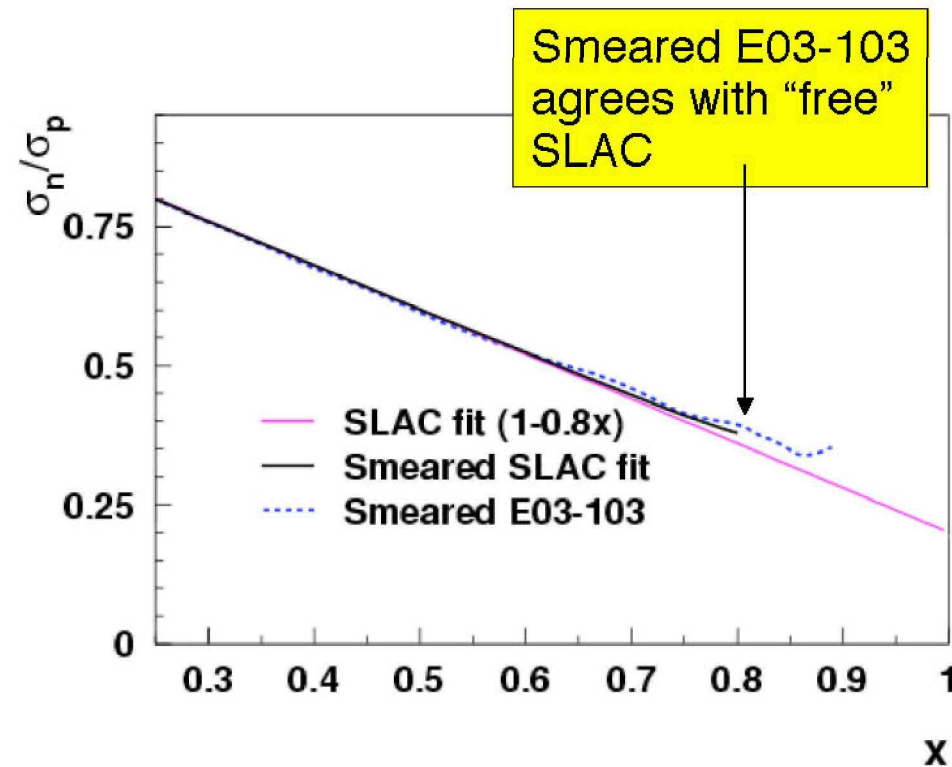
# Smearred $\sigma_n/\sigma_p$

- Previous experiments used “free”  $\sigma_n/\sigma_p$  for isoscalar correction
- However, we are correcting nuclei – don’t want “free” n/p  
→ Ideally we’d like “bound” n/p for relevant nucleus

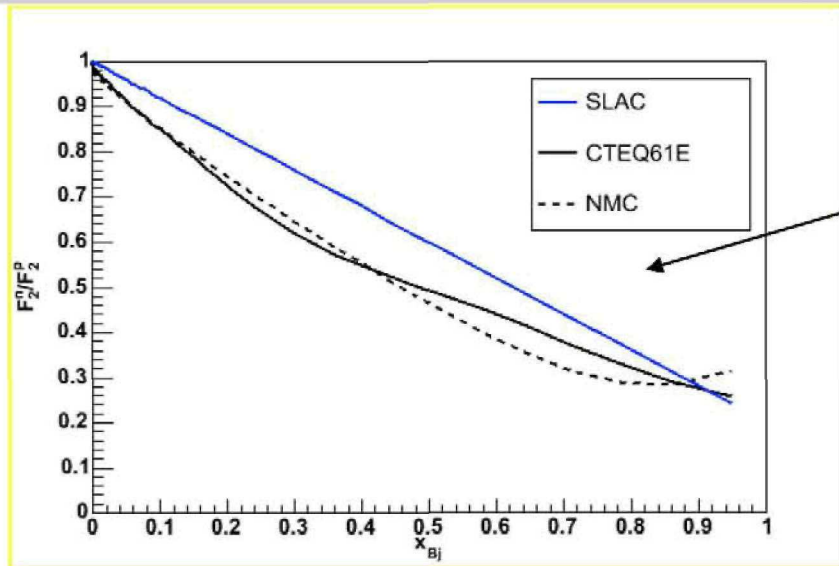
• This is difficult – start with “bound” n/p in deuterium in first approximation

• Smearred n/p from fit to D and p cross sections consistent with SLAC fit:

$$\sigma_n/\sigma_p = 1 - 0.8x$$



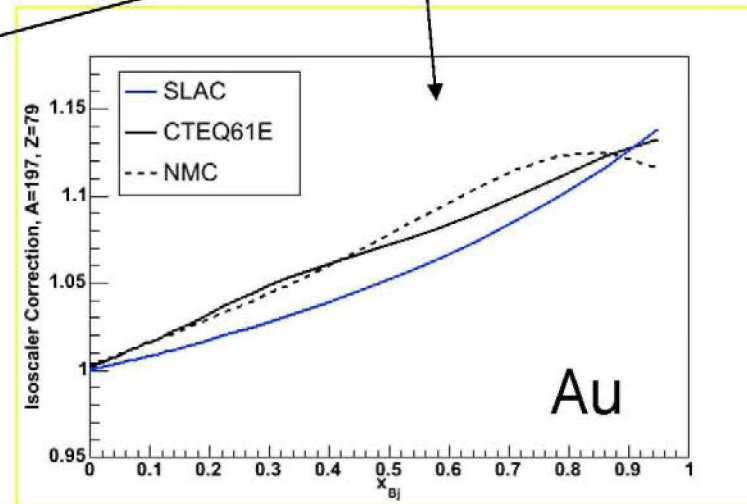
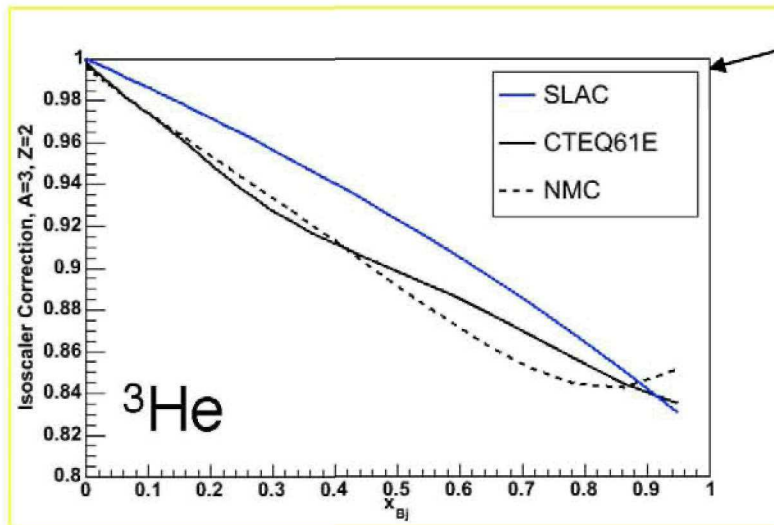
# Effect of Isoscalar Corrections



$$\frac{F_2^n}{F_2^p}$$

- SLAC param. (1-0.8x)
- CTEQ
- NMC fit

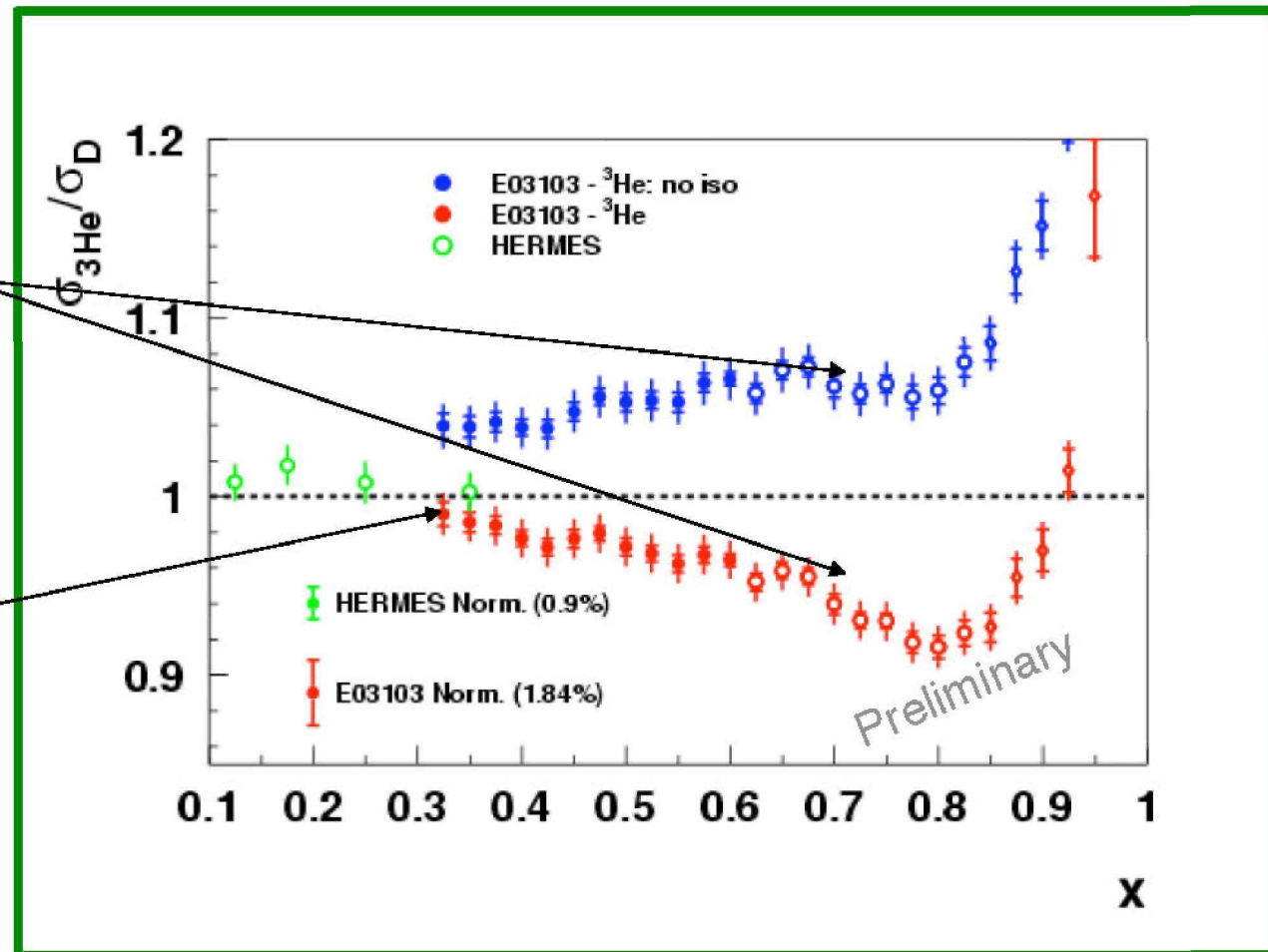
Isoscalar correction applied to data



# EMC Effect in $^3\text{He}$

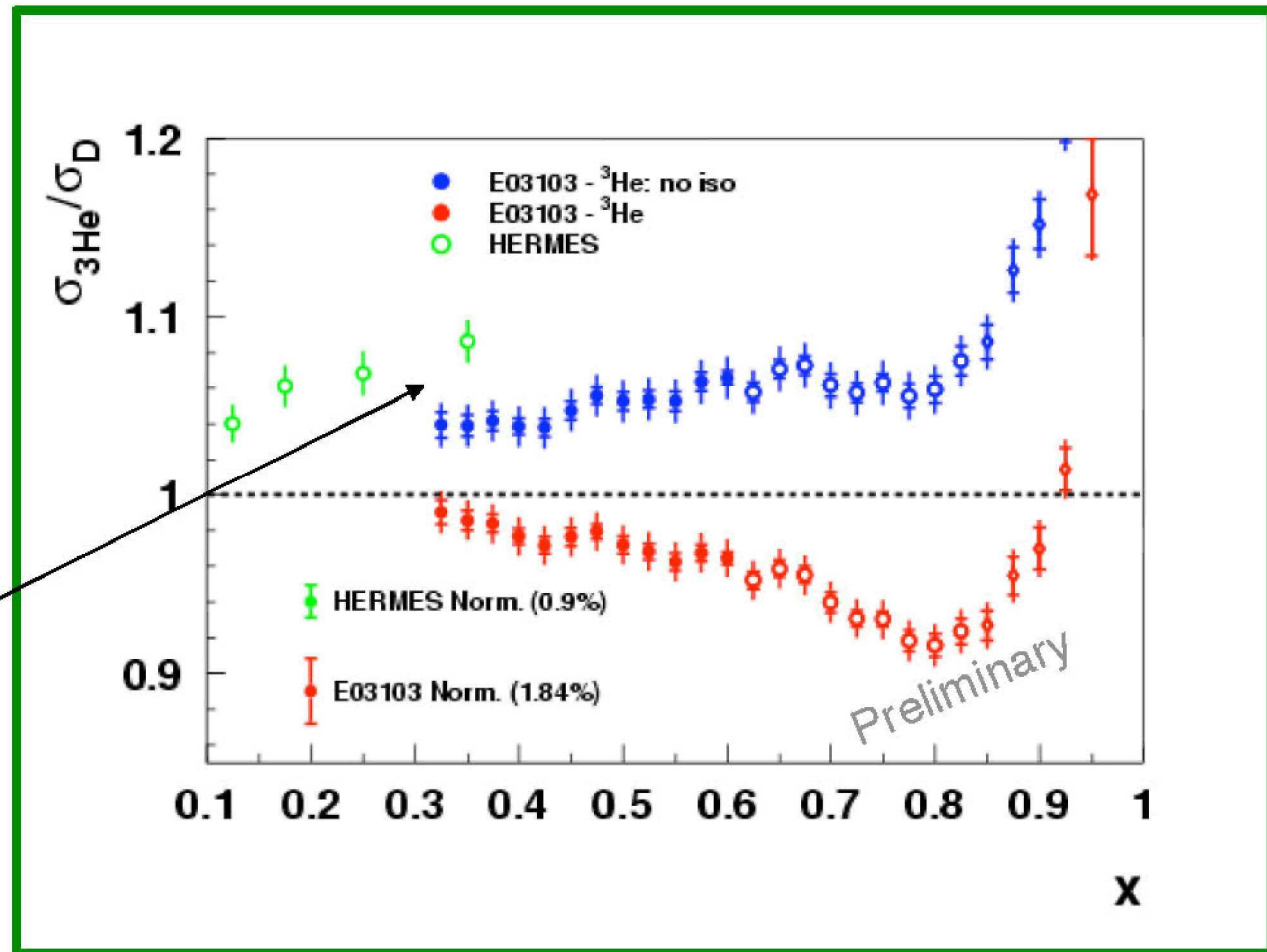
Large proton  
excess correction

Good agreement  
with HERMES in  
overlap region



# $^3\text{He}$ EMC Ratio – HERMES Comparison

Fair  
~~Good~~ agreement  
with HERMES in  
overlap region



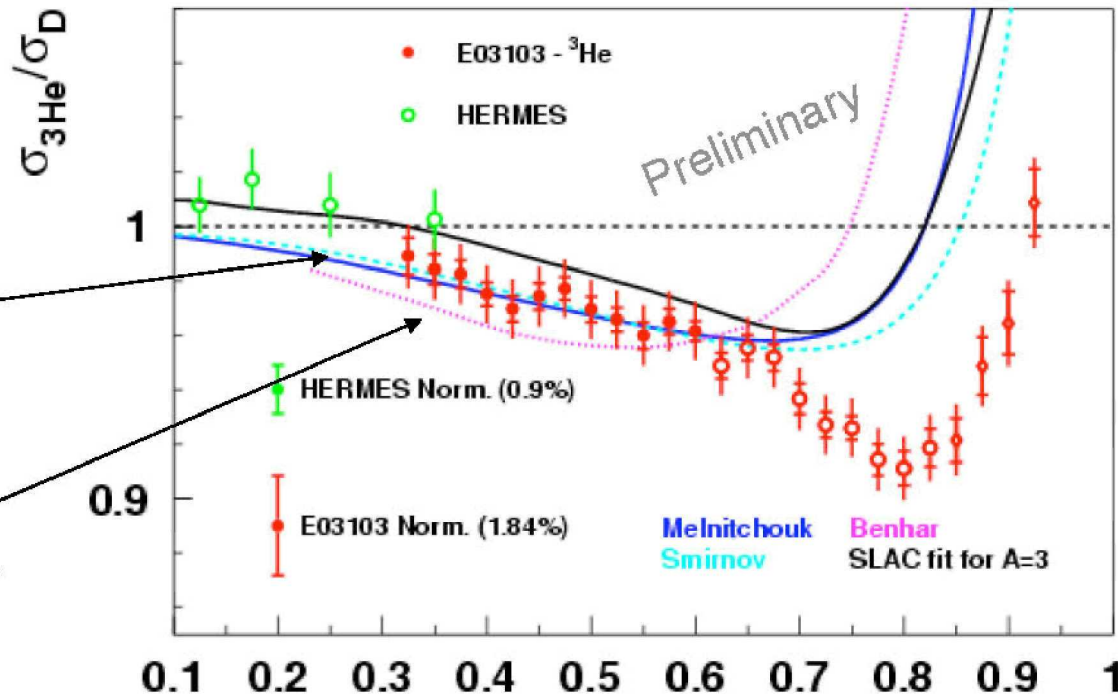
HERMES uses different param. for isoscalar correction!

# EMC Effect in $^3\text{He}$ - Models

All calculations shown use convolution formalism at some level

$$\frac{F_2^{^3\text{He}}}{(F_2^D + F_2^p)}$$

$$\frac{F_2^{^3\text{He}}}{(2F_2^p + F_2^n)}$$



Melnitchouk = *Afnan et.al. PRC68 035201 (2003)*

Smirnov = *Molochkov and Smirnov Phys. Lett. B 466, 1 (1999)*

Benhar = *private communication (Hannover SF, Paris potential)*

X

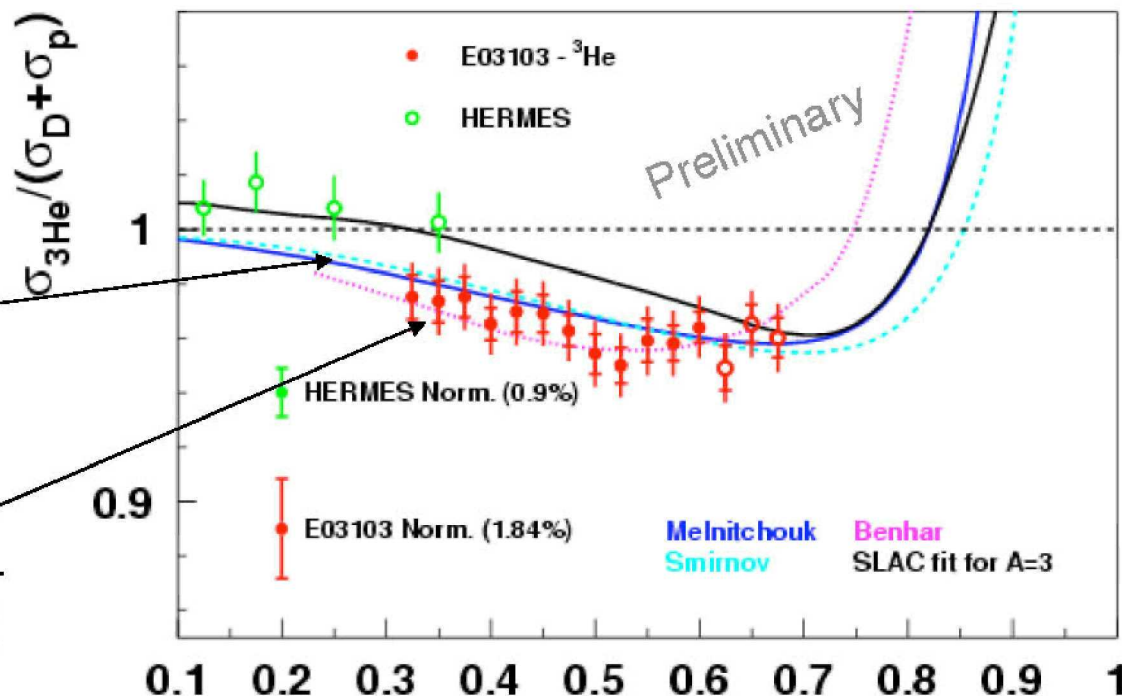


# EMC Effect in $^3\text{He}$

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$$\frac{F_2^{^3\text{He}}}{(F_2^D + F_2^p)}$$

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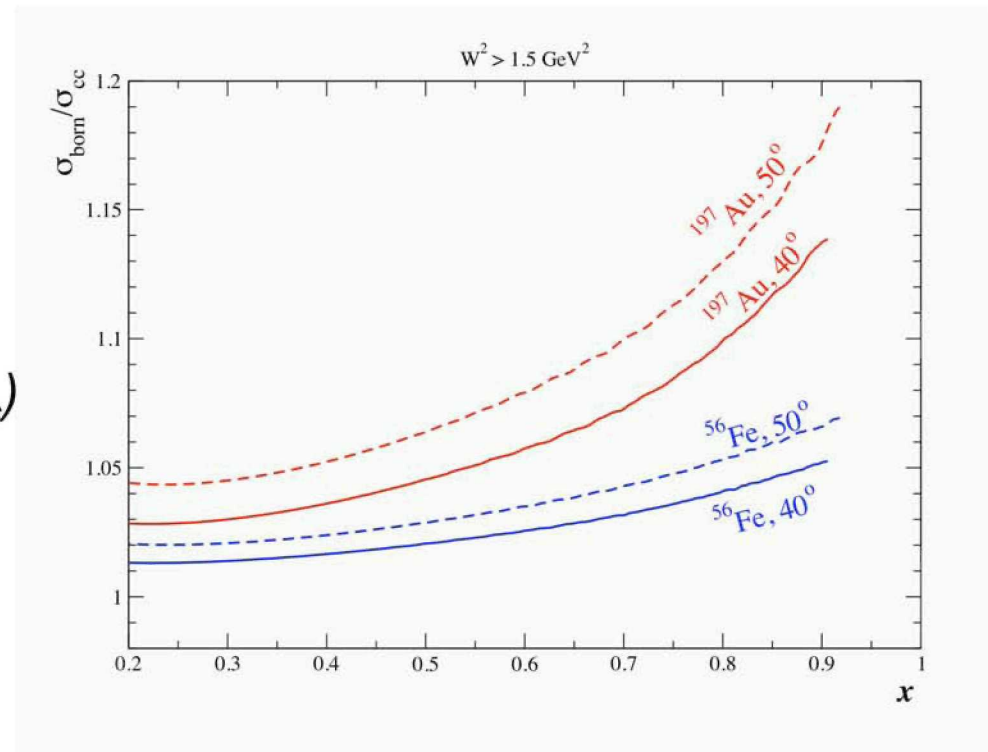
Smirnov = *Molochkov and Smirnov Phys. Lett. B 466, 1 (1999)*

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X

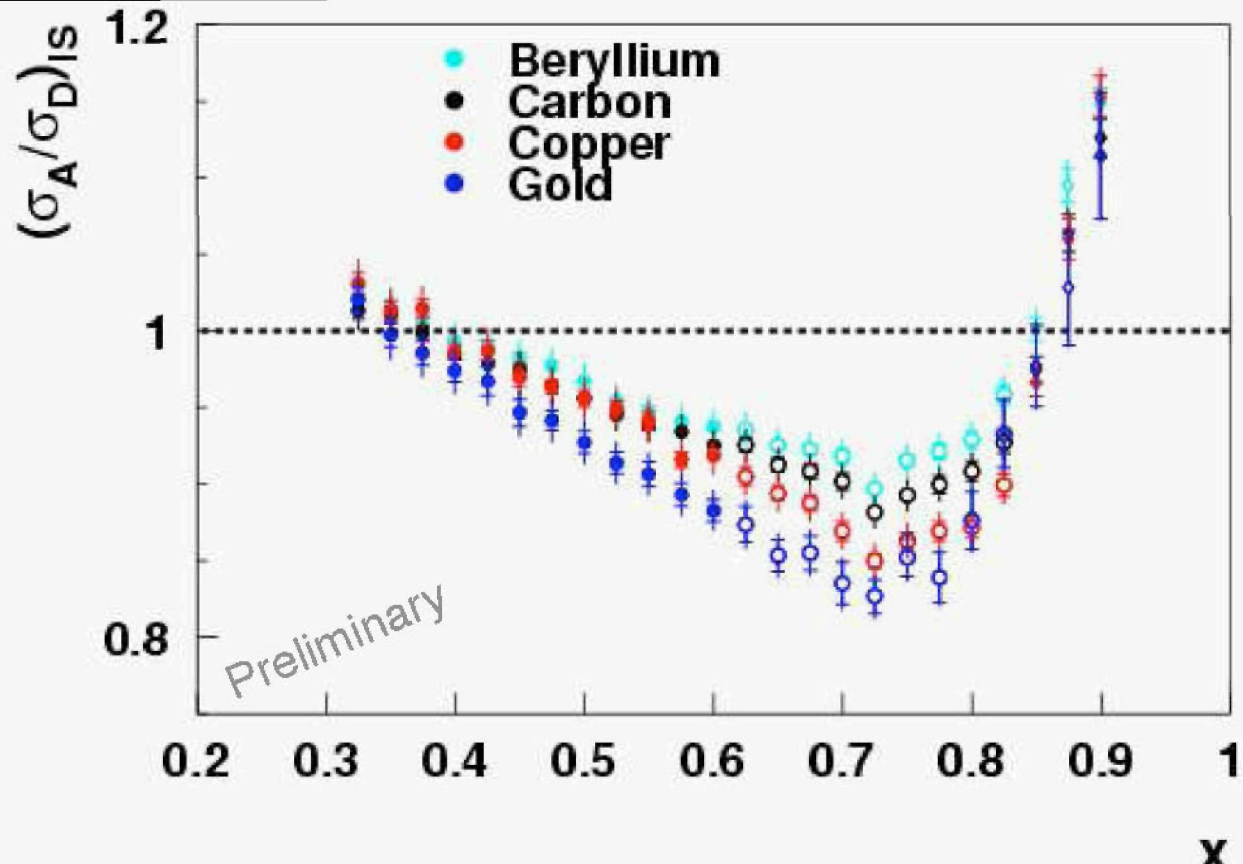
# Coulomb Corrections

- Initial (scattered) electrons are accelerated (decelerated) in Coulomb field of nucleus with  $Z$  protons
  - Not accounted for in typical radiative corrections
  - Usually, not a large effect at high energy machines – **not true at JLab (6 GeV!)**
- E03-103 uses modified Effective Momentum Approximation (**EMA**), *Aste and Trautmann, Eur. Phys. J. A26, 167-178(2005)*
  - $E \rightarrow E+\Delta, E' \rightarrow E'+\Delta$
  - $\Delta = -\frac{3}{4}V_0, V_0 = 3\alpha(Z-1)/(2r_c)$
- EMA tested against DWBA calculation for QE scattering  
→ *application to inelastic scattering appropriate?*



# EMC Measurements for Heavy Nuclei

E03-103 data corrected for coulomb distortion

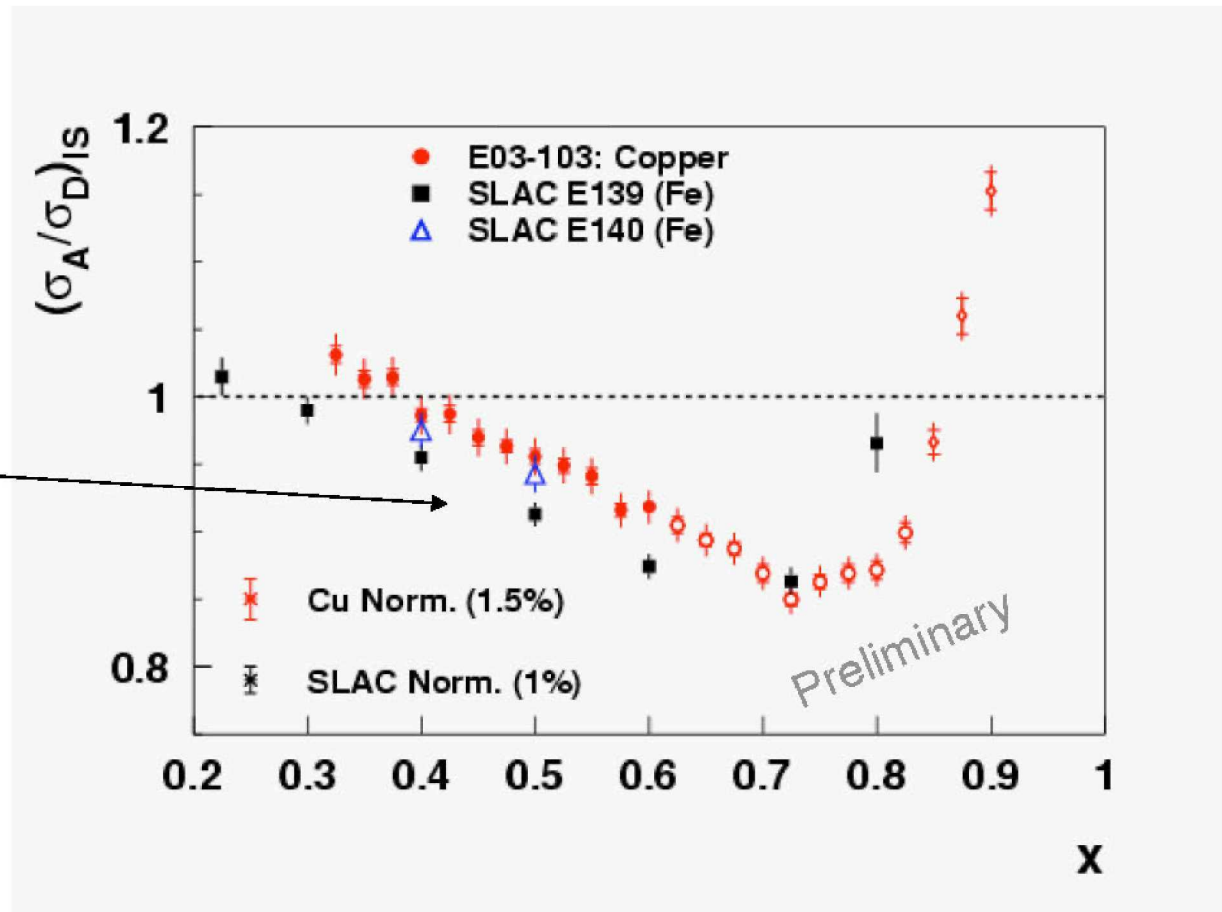


Shape independent of  $A \rightarrow$  especially at large  $x$

# EMC Effect in Heavy Nuclei - Cu

E03-103 data corrected for coulomb distortion

E03-103 Copper data roughly agree with Coulomb Corrected Fe data from SLAC

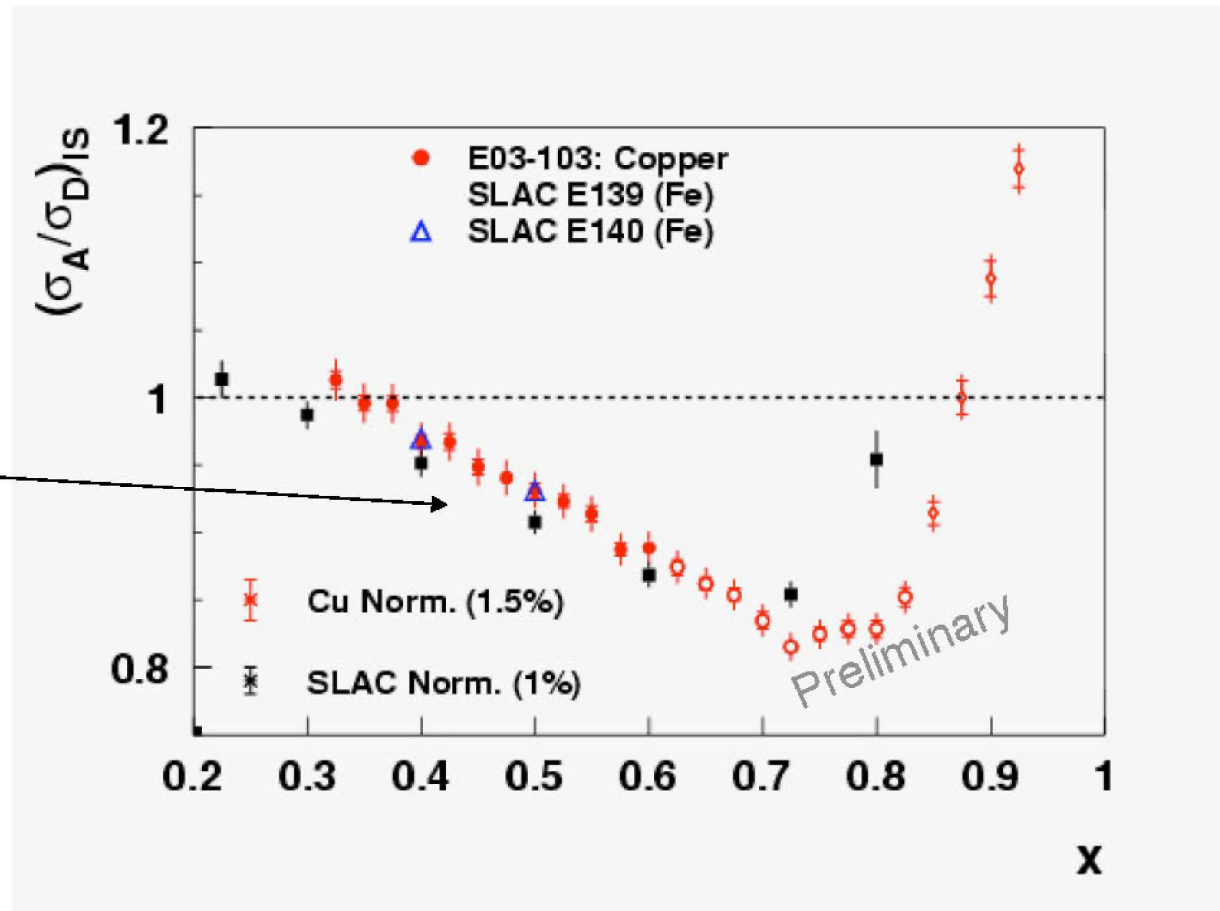


# EMC Effect in Heavy Nuclei - Cu

E03-103 data corrected for coulomb distortion

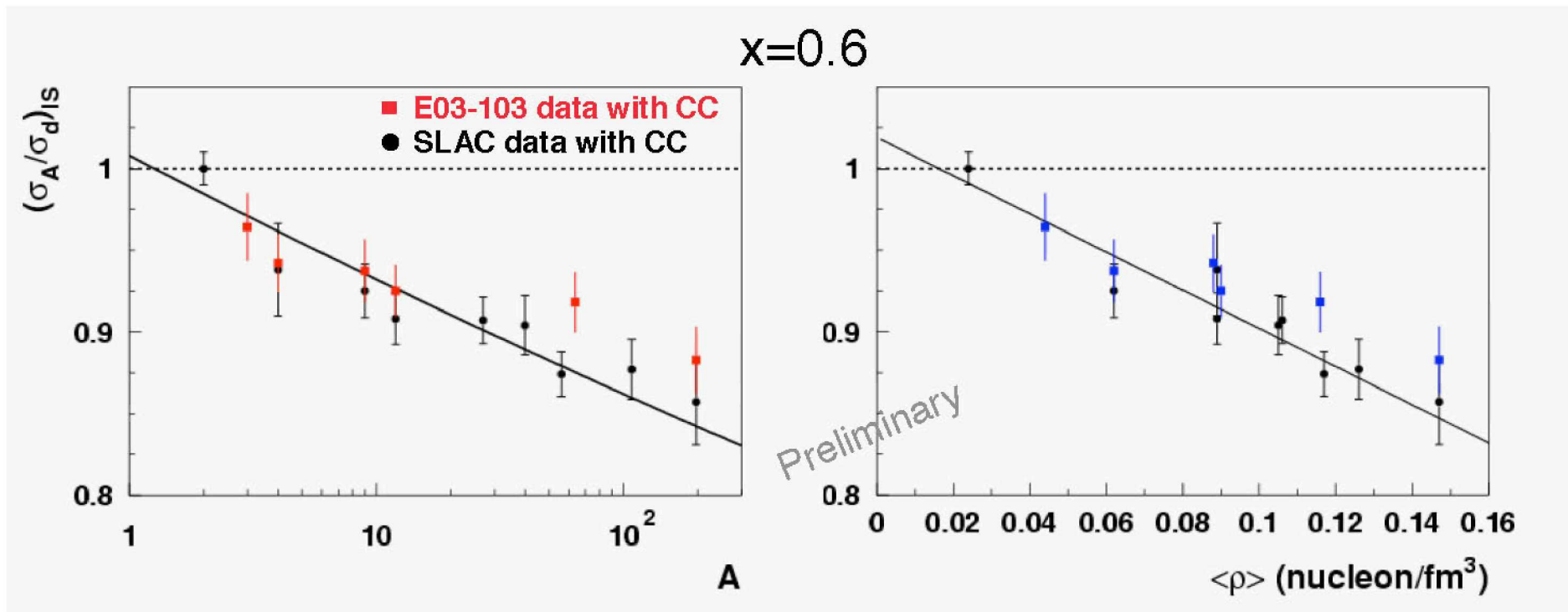
E03-103 Copper data roughly agrees with Coulomb Corrected Fe data from SLAC

→ Agreement seems to improve if we ignore Coulomb corrections



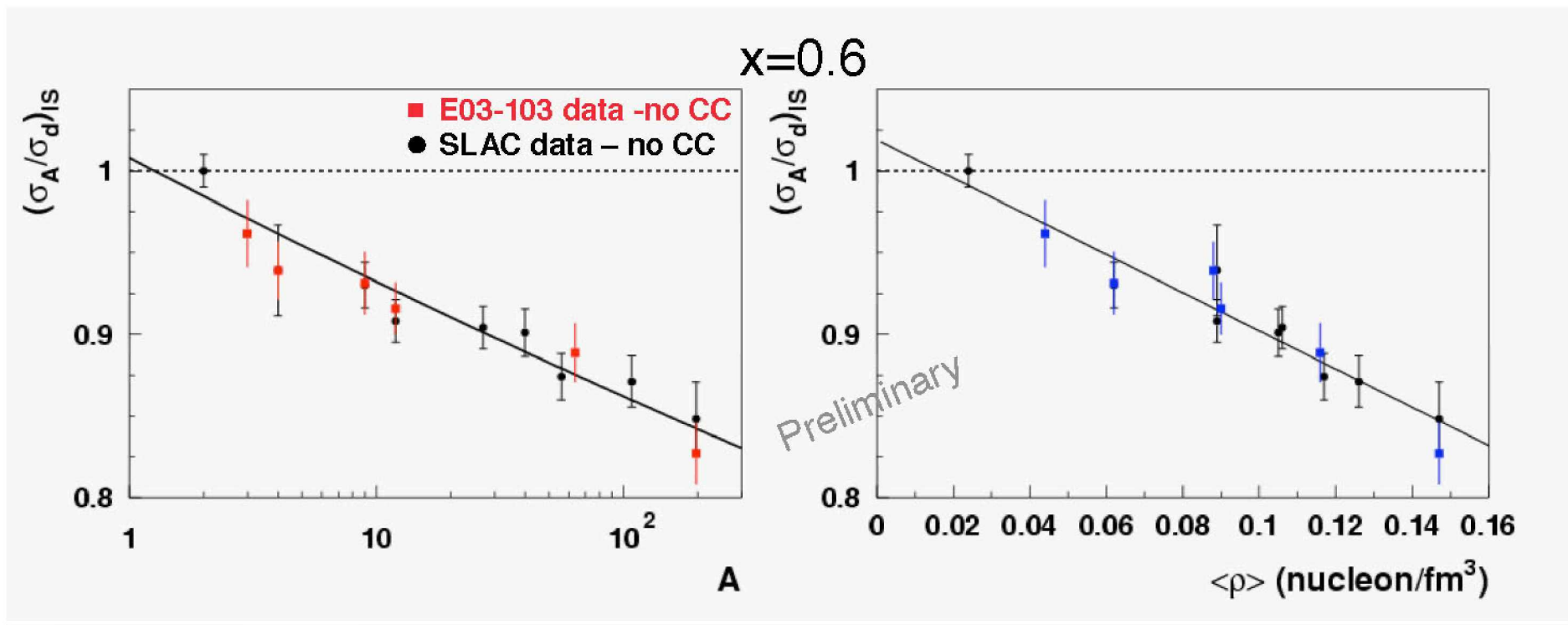
# Nuclear Dependence of the EMC Effect

- Original e139 paper parameterized in terms of  $A$  or  $\rho$ =nuclear density assuming uniform sphere of radius  $R_e$  ( $\rho=3A/4\pi R_e^3$ )
- After correction for Coulomb effects, e139 and E03-103 data show reasonable agreement



# Nuclear Dependence of the EMC Effect

- Ignoring Coulomb effect in JLab data appears to yield slightly better agreement with e139 data – Coulomb corrections overestimated?
- Resolving this issue important as it affects extrapolation to nuclear matter (even when just using SLAC data: 1-2% effect for gold).



# E03-103 Impact

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- Measurements from light nuclei
  - First measurement of EMC effect in  ${}^3\text{He}$  above  $x=0.4$
  - Improved  ${}^4\text{He}$  measurement
  - These results will serve as excellent testing ground for convolution calculations  $\rightarrow$  virtually no uncertainty in nuclear wave function
- Measurements at large  $x$ 
  - Assuming one believes in scaling for  $W^2 < 4 \text{ GeV}^2$ , our heavy target data improve the precision for  $x > 0.75$  where Fermi motion, binding dominate
- Both of the above combined should help settle to what degree conventional nuclear physics plays a role in the EMC effect
- Once this is understood, we are in a better position to quantify to what extent we must introduce additional mechanisms



# Future of the EMC Effect

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- Will E03-103 data settle all the questions relating to modification of quark structure functions in nuclei?
  - No
- What else is there to learn?
  - Flavor dependence  $\rightarrow$   $u(x)$  changed in the same way as  $d(x)$ ? (in other words, n/p nuclear dependent?)
  - Anti-quarks  $\rightarrow$  how the “sea” quarks are affected
  - Spin dependence  $\rightarrow$  how will the polarized quark distributions change in the nucleus?