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## Damping and spin asymmetry for forward neutrons.

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## Danping and spin-asymmetry of forward neutrons

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## Born approximation

Triple-Regge phenomenology

$$
\begin{aligned}
& A_{p \rightarrow n}^{B}(\vec{q}, z)=\frac{1}{\sqrt{z}} \bar{\xi}_{n}\left[\sigma_{3} q_{L}+\vec{\sigma} \cdot \vec{q}_{T}\right] \xi_{p} \phi^{B}\left(q_{T}, z\right) \\
& \phi^{B}\left(q_{T}, z\right)=\frac{\alpha_{\pi}^{\prime}}{8} g_{\pi^{+} p n}(t) F(t) \eta_{\pi}(t)(1-z)^{-\alpha_{\pi}(t)} A_{\pi p \rightarrow X}\left(M_{X}^{2}\right) \\
& q_{L}=(1-z) m_{N} ; \quad t=-\frac{1}{z}\left(q_{L}^{2}+q_{T}^{2}\right)
\end{aligned}
$$

## Born approximation

$$
z \frac{d \sigma_{p \rightarrow n}^{B}}{d z d q_{T}^{2}}=\frac{g_{\pi^{+} p n}^{2}}{(4 \pi)^{2}} \frac{|t| F^{2}(t)}{\left(m_{\pi}^{2}-t\right)^{2}}(1-z)^{1-2 \alpha_{\pi}(t)} \sigma_{t o t}^{\pi^{+} p}\left(M_{X}^{2}\right)
$$



What is missed?

Absorptive corrections

a

b

## Absorptive corrections: State of Art

U.D. Alesio and H.J. Pirner, Eur.Phys.J. A7(2000)109 N.N. Nikolaev et al. Phys.Rev. D60(1999)014004


## Absorptive corrections



The survival probability amplitude $\boldsymbol{S}(\boldsymbol{b})$ for a color octet-octet dipole is rather low.

- What has been missed in previous calculations?

Reggeon calculus:
a: was included;
b: was neglected; c: was overlooked.

a

b

c

## Absorptive corrections

Structure of the missed graph


- Interaction of the target with the proton remnants leads to eikonal-type graphs (a: included);
Interaction with radiated gluons (Pomeron ladder rungs) results in a small triple-Pomeron coupling (b: neglected);
Interaction with the pion remnants is as important, as the first contribution (c: should be added).


## Survival probability amplitude $\mathbf{S}(\mathbf{b})$

- Dipole representation
$1 / N_{c}$ expansion:


$$
\begin{gathered}
S^{(5 q)}(b)=S^{(3 q)}(b) S^{(q \bar{q})}(b)=\left[1-\operatorname{Im} \Gamma^{(3 q) p}(b)\right]\left[1-\operatorname{Im} \Gamma^{(\bar{q} q) p}(b)\right] \\
\operatorname{Im} \Gamma^{(\overline{3} 3) p}(b, z)=\int d^{2} r W_{\overline{3} 3}\left(r, M_{X}^{2}\right) \operatorname{Im} f_{e l}^{\overline{3} 3}(\vec{b}, \vec{r}, x, \alpha) \\
W_{\overline{3} 3}\left(r, M_{X}^{2}\right)=\frac{1}{2 \pi B_{e l}^{\pi p}\left(M_{X}^{2}\right)} \exp \left[-\frac{r^{2}}{2 B_{e l}^{\pi p}\left(M_{X}^{2}\right)}\right]
\end{gathered}
$$

The partial dipole amplitude $f_{e l}^{\overline{3} 3}(\vec{b}, \vec{r}, s, \alpha)$ is calculated in the saturated model fitted to photoproduction and DIS data.

## Survival probability amplitude $\mathbf{S}(\mathbf{b})$

$$
\begin{aligned}
& \operatorname{Imf}_{\mathrm{el}}^{\overline{\mathrm{q} q}}(\overrightarrow{\mathbf{b}}, \overrightarrow{\mathbf{r}}, \mathbf{x}, \alpha)=\frac{\sigma_{0}}{8 \pi B}\left\{\exp \left[-\frac{[\vec{b}+\vec{r}(1-\alpha)]^{2}}{2 B}\right]\right. \\
+ & \left.\exp \left[-\frac{(\vec{b}-\vec{r} \alpha)^{2}}{2 B}\right]-2 \exp \left[-\frac{r^{2}}{R_{0}^{2}(x)}-\frac{[\vec{b}+(1 / 2-\alpha) \vec{r}]^{2}}{2 B(s)}\right]\right\}
\end{aligned}
$$

The partial amplitude reproduces the total dipole-proton cross section,

$$
2 \int d^{2} b \operatorname{Im} f_{e l}^{\bar{q} q}(\vec{b}, \vec{r}, x, \alpha) \equiv \sigma_{\bar{q} q}(r, x)=\sigma_{0}\left[1-e^{-r^{2} / R_{0}^{2}(x)}\right],
$$

and the pion-proton elastic slope,

$$
B=B_{e l}^{\pi p}-\frac{1}{3}\left\langle r_{c h}^{2}\right\rangle_{\pi}-\frac{1}{8} R_{0}^{2}
$$

## Survival probability amplitude $\mathbf{S}(\mathbf{b})$

- Hadronic representation The 5-quark Fock state can be expanded over the hadronic basis,

$$
\left|\{3 q\}_{8}\{\bar{q} q\}_{8}\right\rangle=d_{0}|p\rangle+d_{1}|N \pi\rangle+\ldots
$$

Assuming that the $|\pi N\rangle$ component dominates,

$$
\begin{aligned}
& S^{(h a d r)}(b)=S^{\pi p}(b) S^{p p}(b) \\
= & {\left[1-\operatorname{Im} \Gamma^{p p}(b)\right]\left[1-\operatorname{Im} \Gamma^{\pi p}(b)\right] }
\end{aligned}
$$

The partial amplitudes $\operatorname{Im} \Gamma^{h p}(b)$
can be extracted directly from data.



## Survival probability amplitude $\mathbf{S}(\mathbf{b})$

Dipole representation



## Impact parameter representation

Absorption effects factorize in impact parameters

$$
f_{p \rightarrow n}(\vec{b}, z)=\mathrm{S}(\mathbf{b}) \times \frac{1}{\sqrt{z}} \bar{\xi}_{n}\left[\sigma_{3} q_{L} \theta_{0}^{B}(b, z)-i \frac{\vec{\sigma} \cdot \vec{b}}{b} \theta_{s}^{B}(b, z)\right] \xi_{p}
$$

Born amplitudes:

$$
\begin{aligned}
\theta_{0}^{B}(b, z) & =N(z)\left\{i \frac{\pi \alpha_{\pi}^{\prime}}{2 z \beta^{2}} K_{0}(b / \beta)+\frac{1}{1-\beta^{2} \epsilon^{2}}\left[K_{0}(\epsilon b)-K_{0}(b / \beta)\right]\right\} ; \\
\theta_{s}^{B}(b, z)= & \frac{1}{b} N(z)\left\{i \frac{\pi \alpha_{\pi}^{\prime}}{2 z \beta^{3}} K_{1}(b / \beta)+\frac{1}{1-\beta^{2} \epsilon^{2}}\left[\epsilon K_{1}(\epsilon b)-\frac{1}{\beta} K_{1}(b / \beta)\right]\right\} \\
N(z) & =\frac{1}{2} g_{\pi+p n} z(1-z)^{\alpha_{\pi}^{\prime}\left(m_{\pi}^{2}+q_{L}^{2} / z\right)} e^{-R_{1}^{2} q_{L}^{2} / z} A_{\pi p \rightarrow X}\left(M_{X}^{2}\right) \\
\epsilon^{2} & =q_{L}^{2}+z m_{\pi}^{2}, \\
\beta^{2} & =\frac{1}{z}\left[R_{1}^{2}-\alpha_{\pi}^{\prime} \ln (1-z)\right]
\end{aligned}
$$

## Absorption corrections

## Partial spin amplitudes corrected for absorption

Real parts of partial spin amplitudes for neutron production, non-flip, $\theta_{0}(b, z)$, and spin-flip, $b \theta_{s}(b, z)$. Solid curves show the result of Born approximation. Dashed and dot-dashed curves include absorptive corrections calculated in the dipole approach $\left(\times S^{(5 q)}(b, z)\right)$ and in hadronic model $\left(\times S^{(h a d r)}(b, z)\right)$, respectively


## Cross section




- The two models for absorptive corrections lead to similar results.
- The absorption corrected cross section considerably underestimates the ISR data.


## Cross section <br> Challenging the ISR data

The normalization of the data has systematic uncertainty $20 \%$

- There is a strong evidence from the recent measurements by ZEUS of leading neutron production in DIS that the normalization of the ISR data is twice overestimated. According to Regge factorization the ratio

$$
\frac{d N}{d z d q_{T}^{2}}=\frac{1}{\sigma_{t o t}^{h p}} \frac{d \sigma_{h p \rightarrow X n}}{d z d q_{T}^{2}}
$$


should be universal, i.e. independent of the particle $h$.

- The ratio of the pion-to-proton structure functions measured at small $x$ by ZEUS is about $1 / 3$, twice as small as was expected.


## Cross section

$q_{T}$-dependence


Spin-flip contribution rises towards $z=1$

## Single-spin asymmetry $\boldsymbol{A}_{\boldsymbol{N}}$

## PHENIX measurements

## Neutron asymmetry $\mathrm{X}_{\mathrm{F}}$ distribution with single neutron trigger



## Single-spin asymmetry $\boldsymbol{A}_{N}$

$$
f_{p \rightarrow n}(\vec{q}, z)=\frac{1}{\sqrt{z}} \bar{\xi}_{n}\left[\sigma_{3} q_{L} \phi_{0}\left(q_{T}, z\right)+\vec{\sigma} \cdot \vec{q}_{T} \phi_{s}\left(q_{T}, z\right)\right] \xi_{p}
$$

$$
A_{N}\left(q_{T}, z\right)=\frac{2 q_{T} q_{L} \phi_{0}\left(q_{T}, z\right) \phi_{s}\left(q_{T}, z\right)}{q_{L}^{2}\left|\phi_{0}\left(q_{T}, z\right)\right|^{2}+q_{T}^{2}\left|\phi_{s}\left(q_{T}, z\right)\right|^{2}} \sin \left(\delta_{0}-\delta_{s}\right)
$$

The phase shift between spin-flip and non-flip amplitudes emerges due to absorptive corrections, which affect the real and imaginary parts differently.

Fixed $z=0.6,0.7,0.8,0.9:$


## Single-spin asymmetry $\boldsymbol{A}_{\boldsymbol{N}}$

Fixed angle $\boldsymbol{\theta}=1,2,3,4,5 \mathrm{mrad}, q_{T}=\theta z \sqrt{s} / 2$


Asymmetry at $\theta=1-2 \mathrm{mrad}$ is vanishingly small

## Interference with $a_{1}$ meson



## Advantages:

- $a_{1}$ and pion have similar Regge trajectories, but different signatures, so the amplitudes have the optimal for spin asymmetry phase shift, $\pi / 2$;
- The process $\pi p \rightarrow a_{1} p$ is diffractive, so the $\pi-a_{1}$ interference does not fall with energy


## Interference with $a_{1}$ meson

## Problems :

- The cross section of $\pi p \rightarrow a_{1} p$ is more than order of magnitude suppressed compared to $\pi p \rightarrow \pi p$;
- The $a_{1} N N$ non-flip coupling is several times smaller than $\pi N N$;
- At $z<0.7$ the spin-flip cross section is order of magnitude less that the non-flip one;
- Additional suppression by an order of magnitude is due to smallness of $q_{T} \approx 0.1 G e V$.

The asymmetry is measured at such a small $q_{T}^{2} \approx 0.01 G e V^{2}$, that available mechanisms fail to explain the observed strong effect.

## Summary

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Pion exchange is usually associated with the spin-flip amplitude. However, the amplitude of inclusive process mediated by pion exchange acquires a substantial non-flip part.

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- Pion exchange is usually associated with the spin-flip amplitude. However, the amplitude of inclusive process mediated by pion exchange acquires a substantial non-flip part.
- One should not convolute the survival
probability with the cross section, but work with the amplitudes.
- We identified the projectile system which undergoes initial and final state interactions as a color octet-octet 5-quark state. Absorptive corrections are calculated within two very different models, color-dipole light-cone approach, and in hadronic representation. Nevertheless the results are very similar.


## Summary

The cross section corrected for absorption is about twice lower than the ISR data. However, comparison with DIS data shows that there is a problem with the normalization of the ISR data.

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## Summary

- The cross section corrected for absorption is about twice lower than the ISR data. However, comparison with DIS data shows that there is a problem with the normalization of the ISR data. - Absorption corrections generate a relative phase between the spin-flip and non-flip amplitudes. The resulting asymmetry is rather large, but not at such small transverse momenta, $\boldsymbol{q}_{\boldsymbol{T}}^{2} \sim 0.01 \mathrm{GeV}^{2}$.
- These transverse momenta are proper for CNI, while there is no room for Coulomb effects here. No hadronic mechanism has been known so far, which could provide such a large asymmetry at so small $\boldsymbol{q}_{\boldsymbol{T}}$. The observed large $\boldsymbol{A}_{\boldsymbol{N}}$ for neutrons is becoming a serious challenge for theory.

