



1942-36

Sixth International Conference on Perspectives in Hadronic Physics

12 - 16 May 2008

Damping and spin asymmetry for forward neutrons.

B. Kopeliovich Universidad Tecnica Federico Santa Maria Chile

Damping and spin-asymmetry of forward neutrons

Boris Kopeliovich

Universidad Técnica Federico Santa María Valparaiso, Chile In collaboration with: Irina Potashnikova Ivan Schmidt Jacques Soffer



Born approximation

Triple-Regge phenomenology



$$A^B_{p
ightarrow n}(ec q,z) = rac{1}{\sqrt{z}}\,ar \xi_n\,[\sigma_3\,q_L+ec \sigma\cdotec q_T]\,\xi_p\,\phi^B(q_T,z)$$

$$\phi^B(q_T, z) = \frac{\alpha'_{\pi}}{8} g_{\pi^+ pn}(t) F(t) \eta_{\pi}(t) (1 - z)^{-\alpha_{\pi}(t)} A_{\pi p \to X}(M_X^2)$$

$$q_L = (1-z)\,m_N\,; \quad t = -\,rac{1}{z}\,\left(q_L^2 + q_T^2
ight)$$



Born approximation

$$zrac{d\sigma^B_{p o n}}{dzdq_T^2} = rac{g^2_{\pi^+pn}}{(4\pi)^2} rac{|t|\,F^2(t)}{(m^2_\pi-t)^2} (1-z)^{1-2lpha_\pi(t)} \sigma^{\pi^+p}_{tot}(M^2_X)$$



What is missed?

Absorptive corrections



a



b

Absorptive corrections: State of Art U.D. Alesio and H.J. Pirner, Eur.Phys.J. A7(2000)109 N.N. Nikolaev et al. Phys.Rev. D60(1999)014004





Absorptive corrections



The survival probability amplitude S(b) for a color octet-octet dipole is rather low.

• What has been missed in previous calculations?

Reggeon calculus:

a

a: was included; **b**: was neglected; c: was overlooked.



С



Absorptive corrections

Structure of the missed graph



- Interaction of the target with the proton remnants leads to eikonal-type graphs (a: included);
- Interaction with radiated gluons (Pomeron ladder rungs) results in a small triple-Pomeron coupling (b: neglected);
 - Interaction with the pion remnants is as important, as the first contribution (c: should be added).



Survival probability amplitude S(b)

• Dipole representation



$$S^{(5q)}(b) = S^{(3q)}(b) S^{(q\bar{q})}(b) = \left[1 - \mathrm{Im}\Gamma^{(3q)p}(b)\right] \left[1 - \mathrm{Im}\Gamma^{(\bar{q}q)p}(b)\right]$$
$$\mathrm{Im}\Gamma^{(\bar{3}3)p}(b, z) = \int d^2r W_{\bar{3}3}(r, M_X^2) \mathrm{Im}f_{el}^{\bar{3}3}(\vec{b}, \vec{r}, x, \alpha)$$
$$W_{\bar{3}3}(r, M_X^2) = \frac{1}{2\pi B_{el}^{\pi p}(M_X^2)} \exp\left[-\frac{r^2}{2B_{el}^{\pi p}(M_X^2)}\right]$$

The partial dipole amplitude $f_{el}^{\bar{3}3}(\vec{b},\vec{r},s,\alpha)$ is calculated in the saturated model fitted to photoproduction and DIS data.

Survival probability amplitude S(b)

$$Im \mathbf{f}_{el}^{\bar{q}\mathbf{q}}(\vec{\mathbf{b}}, \vec{\mathbf{r}}, \mathbf{x}, \alpha) = \frac{\sigma_0}{8\pi B} \left\{ \exp\left[-\frac{[\vec{b} + \vec{r}(1-\alpha)]^2}{2B}\right] + \exp\left[-\frac{(\vec{b} - \vec{r}\alpha)^2}{2B}\right] - 2\exp\left[-\frac{r^2}{R_0^2(x)} - \frac{[\vec{b} + (1/2 - \alpha)\vec{r}]^2}{2B(s)}\right] \right\}$$

The partial amplitude reproduces the total dipole-proton cross section,

$$2\int d^2b \,\mathrm{Im} f_{el}^{\bar{q}q}(\vec{b},\vec{r},x,\alpha) \equiv \sigma_{\bar{q}q}(r,x) = \sigma_0 \left[1 - e^{-r^2/R_0^2(x)}\right],$$

and the pion-proton elastic slope,

$$B = B_{el}^{\pi p} - \frac{1}{3} \langle r_{ch}^2 \rangle_{\pi} - \frac{1}{8} R_0^2$$



Survival probability amplitude S(b)

• Hadronic representation The 5-quark Fock state can be expanded over the hadronic basis,

$$|\{3q\}_8\{\bar{q}q\}_8\rangle = d_0|p\rangle + d_1|N\pi\rangle + ..$$

Assuming that the $|\pi N\rangle$ component dominates,

 $S^{(hadr)}(b) = S^{\pi p}(b) S^{pp}(b)$ = $[1 - Im\Gamma^{pp}(b)] [1 - Im\Gamma^{\pi p}(b)]$ The partial amplitudes $Im\Gamma^{hp}(b)$ can be extracted directly from data.





Survival probability amplitude S(b)

Dipole representation

Hadronic representation





Impact parameter representation

Absorption effects factorize in impact parameters

$$f_{p \to n}(\vec{b}, z) = \mathbf{S}(\mathbf{b}) \times \frac{1}{\sqrt{z}} \,\bar{\xi}_n \left[\sigma_3 \, q_L \, \theta_0^B(b, z) - i \, \frac{\vec{\sigma} \cdot \vec{b}}{b} \, \theta_s^B(b, z) \right] \xi_p$$

Born amplitudes:

$$\theta_0^B(b,z) = N(z) \left\{ i \frac{\pi \alpha'_{\pi}}{2z\beta^2} K_0(b/\beta) + \frac{1}{1-\beta^2\epsilon^2} \left[K_0(\epsilon b) - K_0(b/\beta) \right] \right\};$$

$$\theta_s^B(b,z) = \frac{1}{b} N(z) \left\{ i \frac{\pi \alpha'_{\pi}}{2z\beta^3} K_1(b/\beta) + \frac{1}{1-\beta^2\epsilon^2} \left[\epsilon K_1(\epsilon b) - \frac{1}{\beta} K_1(b/\beta) \right] \right\}$$

$$N(z) = \frac{1}{2} g_{\pi+pn} z(1-z)^{\alpha'_{\pi}(m_{\pi}^2+q_L^2/z)} e^{-R_1^2 q_L^2/z} A_{\pi p \to X}(M_X^2)$$

$$\epsilon^2 = q_L^2 + z m_{\pi}^2,$$

$$\beta^2 = \frac{1}{z} \left[R_1^2 - \alpha'_{\pi} \ln(1-z) \right]$$



Absorption corrections

Partial spin amplitudes corrected for absorption

Real parts of partial spin amplitudes for neutron production, non-flip, $\theta_0(b, z)$, and spin-flip, $b\theta_s(b,z)$. Solid curves show the result of Born approximation. Dashed and dot-dashed curves include absorptive corrections calculated in the dipole approach $(\times S^{(5q)}(b, z))$ and in hadronic model (× $S^{(hadr)}(b, z)$), respectively





Cross section



The two models for absorptive corrections lead to similar results.



The absorption corrected cross section considerably underestimates the ISR data.

Cross section Challenging the ISR data

• The normalization of the data has systematic uncertainty 20%

• There is a strong evidence from the recent measurements by ZEUS of leading neutron production in DIS that the normalization of the ISR data is **twice** overestimated. According to Regge factorization the ratio

 $\frac{dN}{dzdq_T^2} = \frac{1}{\sigma_{tot}^{hp}} \frac{d\sigma_{hp\to Xn}}{dzdq_T^2} \,,$



should be universal, i.e. independent of the particle h.

• The ratio of the pion-to-proton structure functions measured at small x by ZEUS is about 1/3, **twice** as small as was expected.



Cross section *q*_T-dependence





Single-spin asymmetry A_N

PHENIX measurements



– p. 17/2

Single-spin asymmetry A_N

$$f_{p
ightarrow n}(ec{q},z) = rac{1}{\sqrt{z}} ar{\xi}_n \left[\sigma_3 \, q_L \, \phi_0(q_T,z) + ec{\sigma} \cdot ec{q}_T \phi_s(q_T,z)
ight] \xi_p$$

$$egin{split} m{A_N(q_T,z)} &= rac{2 q_T q_L \phi_0(q_T,z) \phi_s(q_T,z)}{q_L^2 \left| \phi_0(q_T,z)
ight|^2 + q_T^2 \left| \phi_s(q_T,z)
ight|^2} \, \sin(\delta_0 - \delta_s) \,, \end{split}$$

The phase shift between spin-flip and non-flip amplitudes emerges due to absorptive corrections, which affect the real and imaginary parts differently.







Single-spin asymmetry A_N

Fixed angle $\theta = 1, 2, 3, 4, 5 \text{ mrad}, \frac{q_T}{q_T} = \frac{\theta z \sqrt{s}/2}{\sqrt{s}}$



Interference with a_1 meson



Advantages:

• a_1 and pion have similar Regge trajectories, but different signatures, so the amplitudes have the optimal for spin asymmetry phase shift, $\pi/2$;

• The process $\pi p \to a_1 p$ is diffractive, so the $\pi - a_1$ interference does not fall with energy



Interference with *a*₁ **meson Problems :**

• The cross section of $\pi p \to a_1 p$ is more than order of magnitude suppressed compared to $\pi p \to \pi p$;

• The a_1NN non-flip coupling is several times smaller than πNN ;

• At z < 0.7 the spin-flip cross section is order of magnitude less that the non-flip one;

• Additional suppression by an order of magnitude is due to smallness of $q_T \approx 0.1 GeV$.

The asymmetry is measured at such a small $q_T^2 \approx 0.01 GeV^2$, that available mechanisms fail to explain the observed strong effect.



• Pion exchange is usually associated with the spin-flip amplitude. However, the amplitude of inclusive process mediated by pion exchange acquires a substantial non-flip part.



• Pion exchange is usually associated with the spin-flip amplitude. However, the amplitude of inclusive process mediated by pion exchange acquires a substantial non-flip part.

• One should not convolute the survival probability with the cross section, but work with the amplitudes.



• Pion exchange is usually associated with the spin-flip amplitude. However, the amplitude of inclusive process mediated by pion exchange acquires a substantial non-flip part.

• One should not convolute the survival probability with the cross section, but work with the amplitudes.

• We identified the projectile system which undergoes initial and final state interactions as a color octet-octet 5-quark state. Absorptive corrections are calculated within two very different models, color-dipole light-cone approach, and in hadronic representation. Nevertheless the results are very similar.



• The cross section corrected for absorption is about twice lower than the ISR data. However, comparison with DIS data shows that there is a problem with the normalization of the ISR data.



• The cross section corrected for absorption is about twice lower than the ISR data. However, comparison with DIS data shows that there is a problem with the normalization of the ISR data. • Absorption corrections generate a relative phase between the spin-flip and non-flip amplitudes. The resulting asymmetry is rather large, but not at such small transverse momenta, $q_T^2 \sim 0.01 \,\text{GeV}^2$.



• The cross section corrected for absorption is about twice lower than the ISR data. However, comparison with DIS data shows that there is a problem with the normalization of the ISR data. • Absorption corrections generate a relative phase between the spin-flip and non-flip amplitudes. The resulting asymmetry is rather large, but not at such small transverse momenta, $q_T^2 \sim 0.01 \,\text{GeV}^2$.

These transverse momenta are proper for CNI, while there is no room for Coulomb effects here. No hadronic mechanism has been known so far, which could provide such a large asymmetry at so small q_T . The observed large A_N for neutrons is becoming a serious challenge for theory.

