



*The Abdus Salam
International Centre for Theoretical Physics*



1957-8

Miniworkshop on Strong Correlations in Materials and Atom Traps

4 - 15 August 2008

Physics of 5d Ir oxides.

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Physics of 5d Ir oxides



Hide TAKAGI
RIKEN & University of Tokyo

Outlines

Why Ir oxides??

1. Spin-orbit coupling driven Mott insulating state in
 Sr_2IrO_4

ideal playground for “phase sensitive” magnetic x-ray diffraction

B.J.Kim (UT), S.Fujiyama (RIKEN), K.Ohashi (UT) and
T.Takayama (UT)

2. Spin liuquid state in hyper-kagome $\text{Na}_4\text{Ir}_3\text{O}_8$

_Y.Okamoto (UT), S.Fujiyama (RIKEN), R.Perry (UT)
and M.Nohara (UT))

Mott physics in correlated electron system

Hubbard model

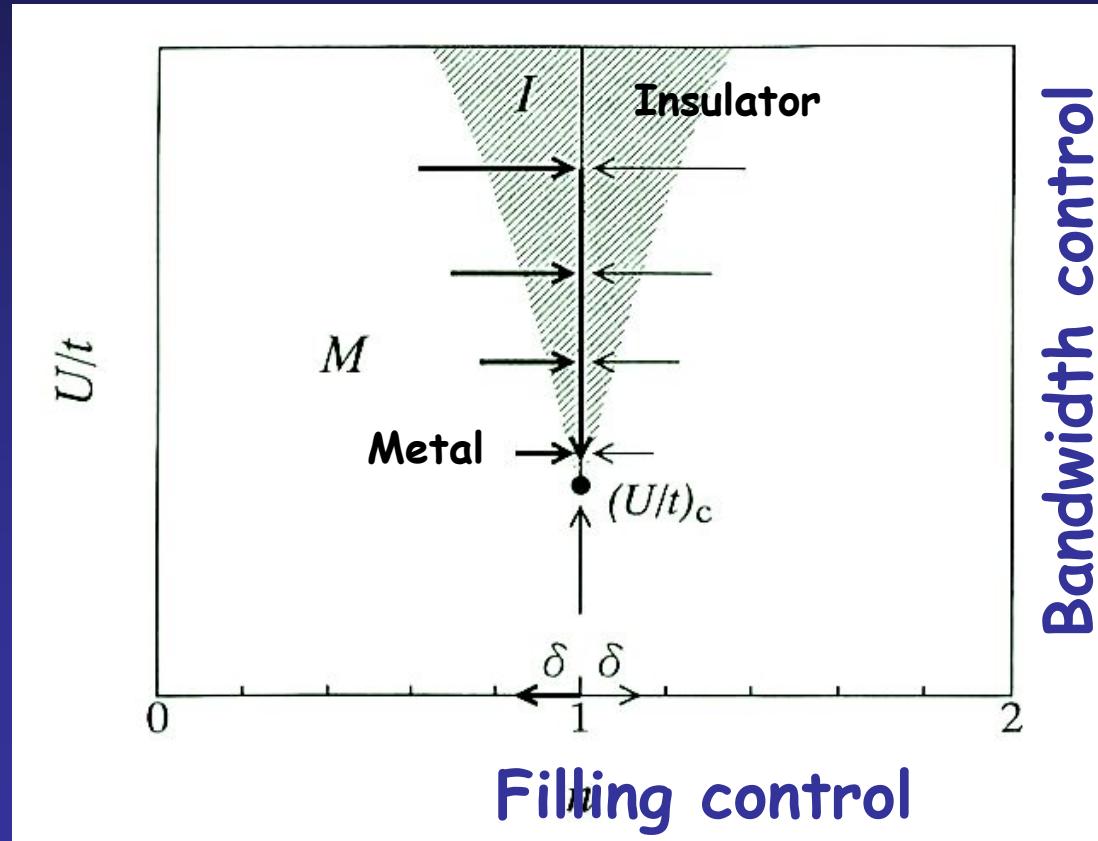
$$H = t \sum a_{i+1}^+ a_i^- + U \sum n_{i\uparrow} n_{i\downarrow}$$

Kinetic energy

Coulomb repulsion

$U/t, n$

Rich variety
of exotic
electronic
phases
near Mott
insulating
state



Bandwidth control

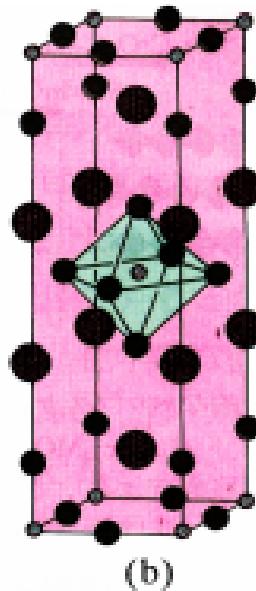
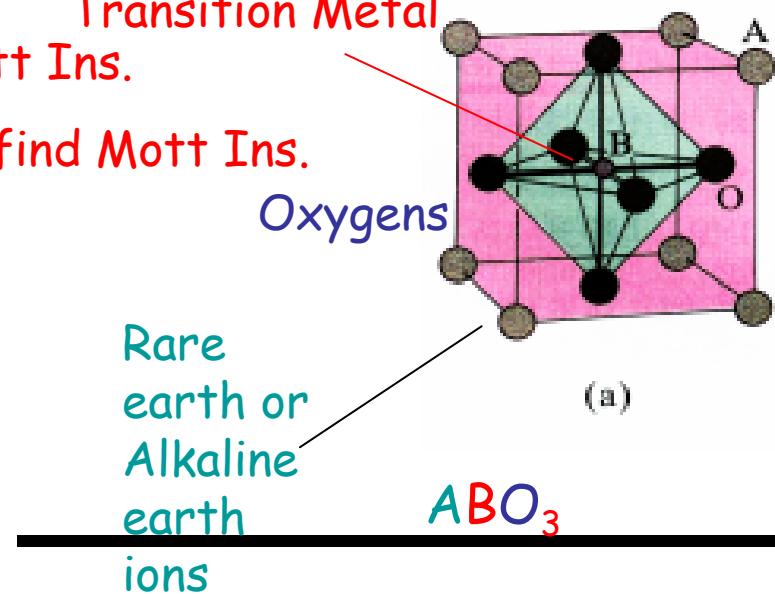
perovskite (related) oxides as a playground for Mott physics

H								He
Li	Be							
Na	Mg		[Ar]3d ² 4s ²	[Ar]3d ³ 4s ²	[Ar]3d ⁵ 4s ¹	[Ar]3d ⁵ 4s ²	[Ar]3d ⁶ 4s ²	[Ar]3d ⁷ 4s ²
K	Ca	Sc	Ti	V	Cr	Mn	Fe	Co
Rb	Sr	Y	Zr	Nb	Mo	Tc	Ru	Rh
Cs	Ba	La	Hf	Ta	W	Re	Os	Ir
Fr	Ra	Ac	Rf	Db	Sg	Bh	Hs	Mt
						Uun	Uuu	Uub

3d transition metal
main playground

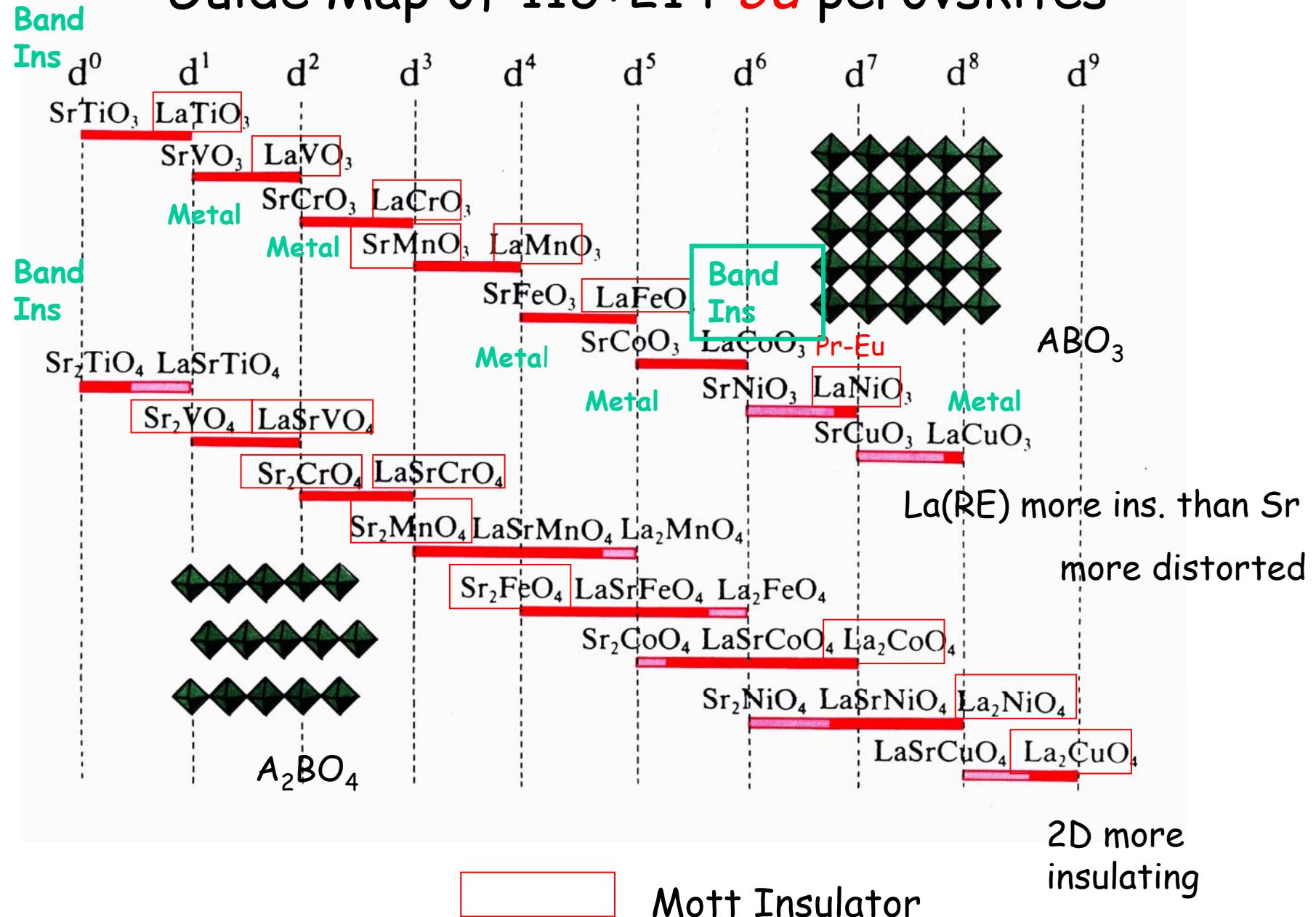
Ce	Pr	Nd	Pm	Sm	Eu	Gd	Tb	Dy	Ho	Er	Tm	Yb	Lu
Th	Pa	U	Np	Pu	Am	Cm	Bk	Cf	Es	Fm	Md	No	Lr

3d: can find Mott Ins.
4d, 5d: hard to find Mott Ins.



A_2BO_4 (layered)

Guide Map of 113+214 *3d* perovskites



3d transition metal perovskite as a playground for Mott physics

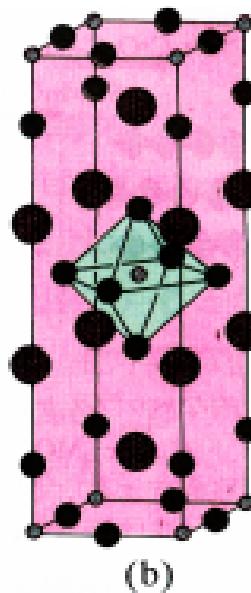
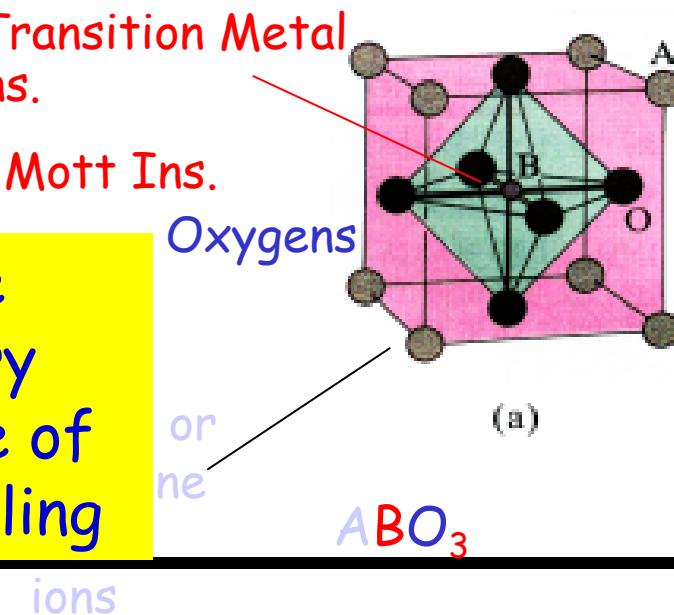
3d transition metal main playground

Ce	Pr	Nd	Pm	Sm	Eu	Gd	Tb	Dy	Ho	Er	Tm	Yb	Lu
Th	Pa	U	Np	Pu	Am	Cm	Bk	Cf	Es	Fm	Md	No	Lr

3d: can find Mott Ins.

4d, 5d: hard to find Mott Ins.

Not always the case particularly for 5d because of spin orbit coupling

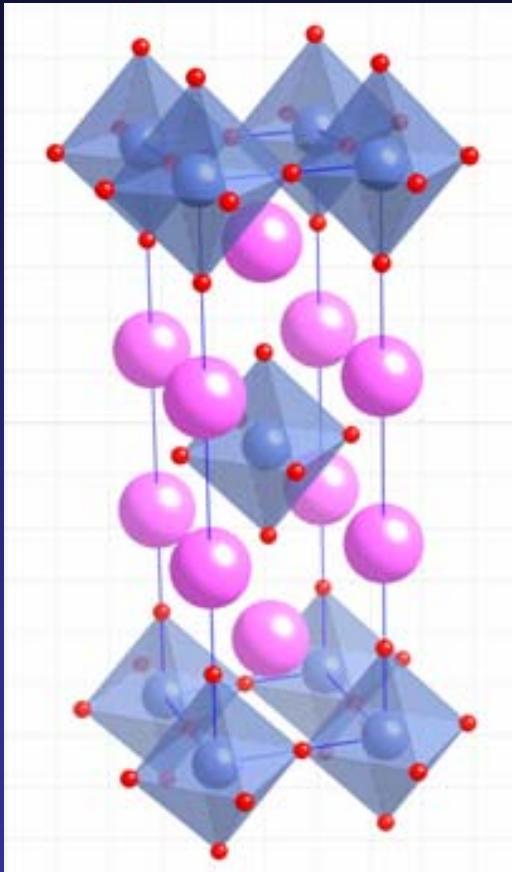


A_2BO_4 (layered)

Group 9 Sr₂MO₄

What is the ground state?

K₂NiF₄ structure



Five d-electrons d⁵

3d Sr_2CoO_4

4d Sr_2RhO_4

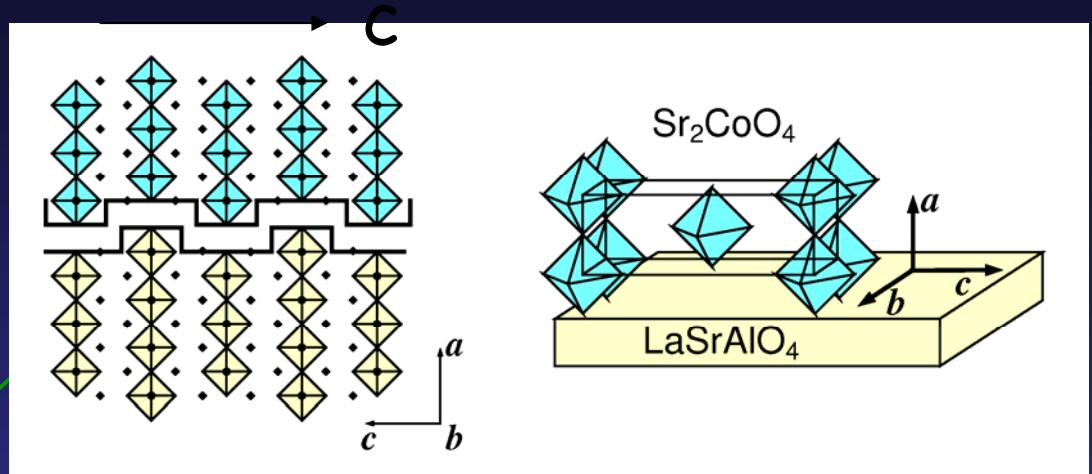
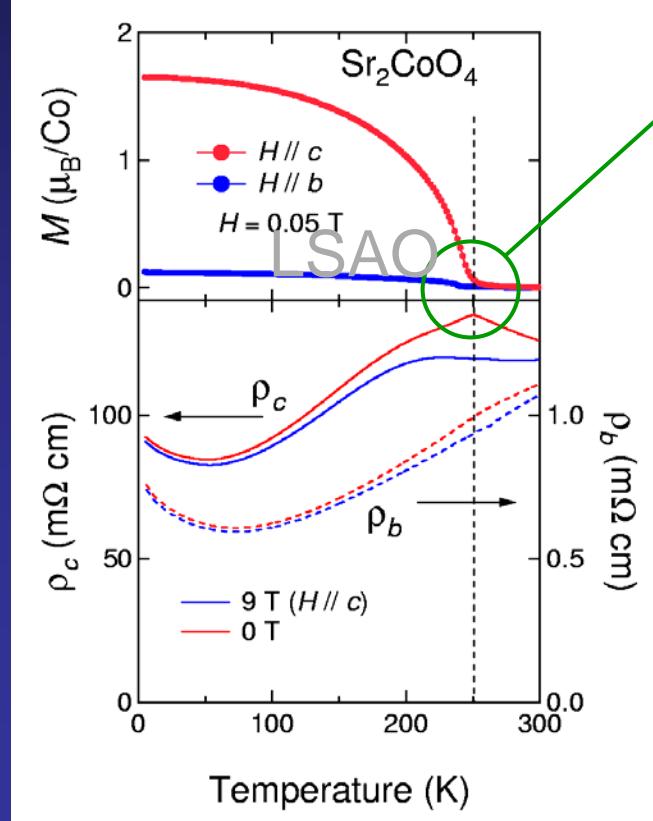
5d Sr_2IrO_4

Transfer increase

.026											
Mg											
Ca	Sc	Ti 0.39	V 5.3	Cr	Mn	Fe	Co	Ni	Cu	Zn 0.9	
Er	Y	Zr 0.52	Nb 9.2	Mo 0.92	Tc 8.8	Ru 0.49	Rh	Pd	Ag	Cd 0.56	
Ba	La	Hf 6.0	Ta 0.09	W 4.48	Re 0.01	Os 1.70	Ir 0.66	Pt 0.11	Au	Hg 4.16	
Ra	Ac	Ce	Pr	Nd	Pm	Sm	Eu	Gd	Tb	Dy	

New itinerant ferro-magnet Sr_2CoO_4 developed by "atomic graphoepitaxy"

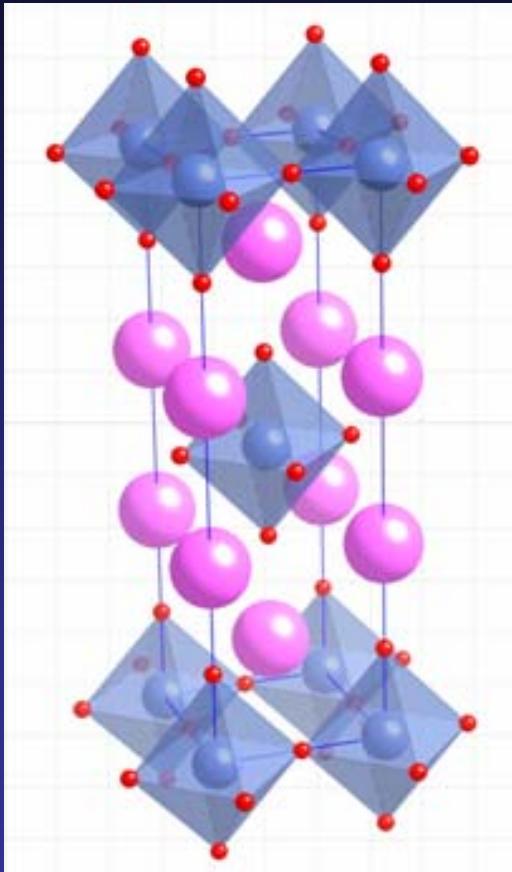
Matsuno PRL (2004)
SCO



- Ferromagnet: $T_C \sim 250 \text{ K}$
cf. $\text{SrCoO}_3 (T_C \sim 280 \text{ K})$
- Metallic conduction below T_C
- Anisotropy $\rho_c/\rho_b \sim 10^2$
quasi-two-dimensionality

Group 9 Sr₂MO₄

K₂NiF₄ structure

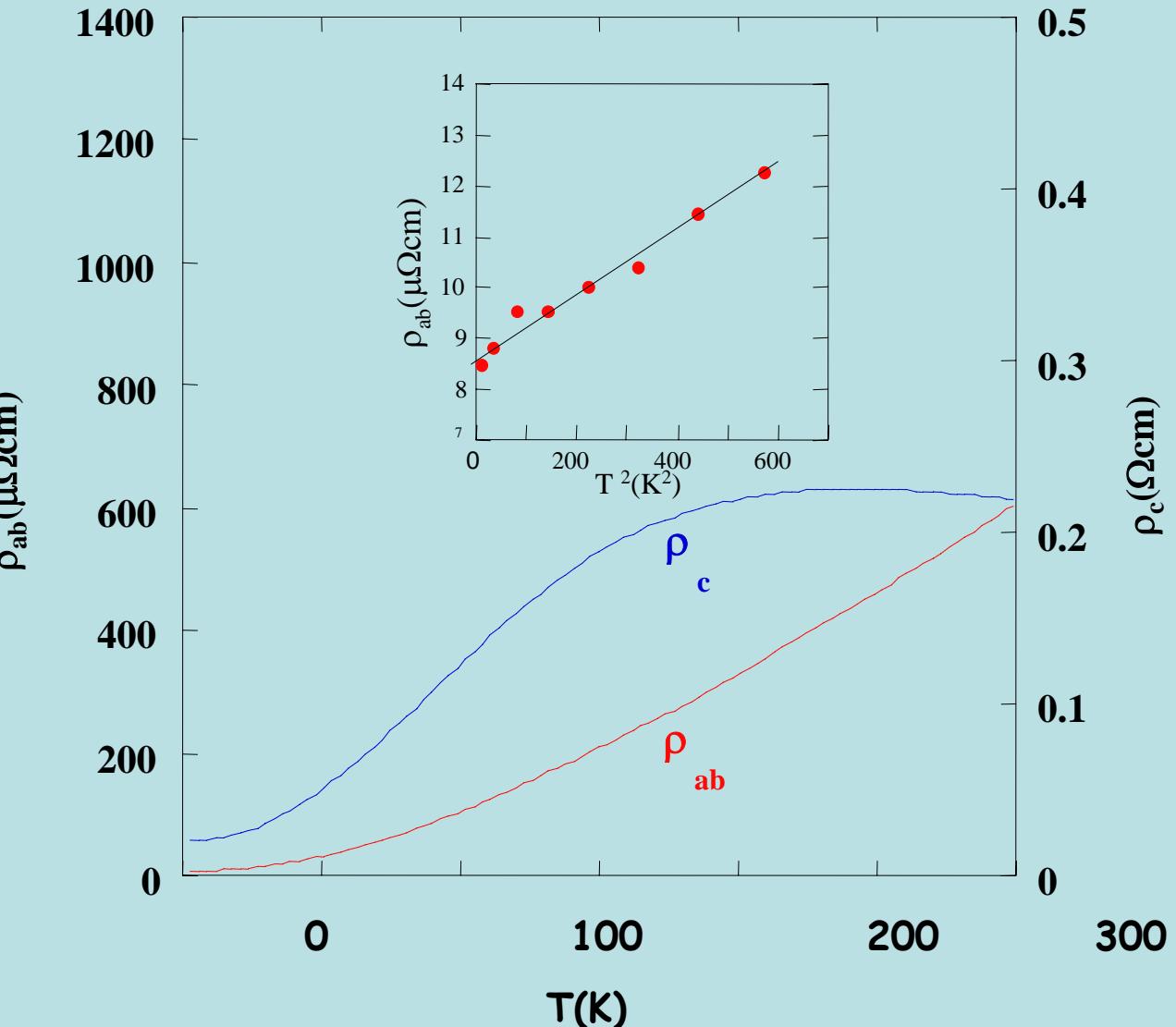


- Five d-electrons d^5
- 3d Sr_2CoO_4 Ferromagnetic metal
- 4d Sr_2RhO_4
- 5d Sr_2IrO_4

Transfer increase

.026											
Mg											
Ca	Sc	Ti 0.39	V 5.3	Cr	Mn	Fe	Co	Ni	Cu	Zn 0.9	
Er	Y	Zr 0.52	Nb 9.2	Mo 0.92	Tc 8.8	Ru 0.49	Rh	Pd	Ag	Cd 0.56	
Ba	La	Hf 6.0	Ta 0.09	W 4.48	Re 0.01	Os 1.70	Ir 0.66	Pt 0.11	Au	Hg 4.16	
Ka	Ac	Ce	Pr	Nd	Pm	Sm	Eu	Gd	Tb	Dy	

Sr_2RhO_4 , a paramagnetic metal



low spin
 $t2g^5$ metal

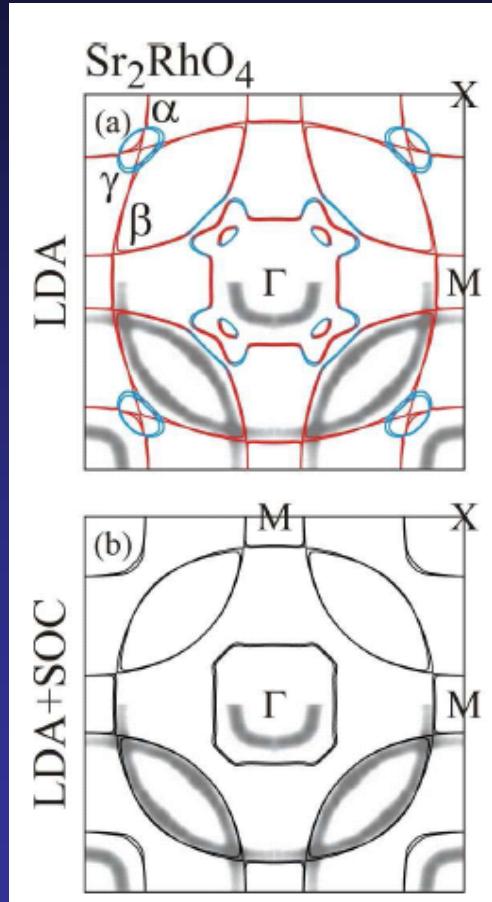
Quasi 2D
Fermi liquid

No magnetism

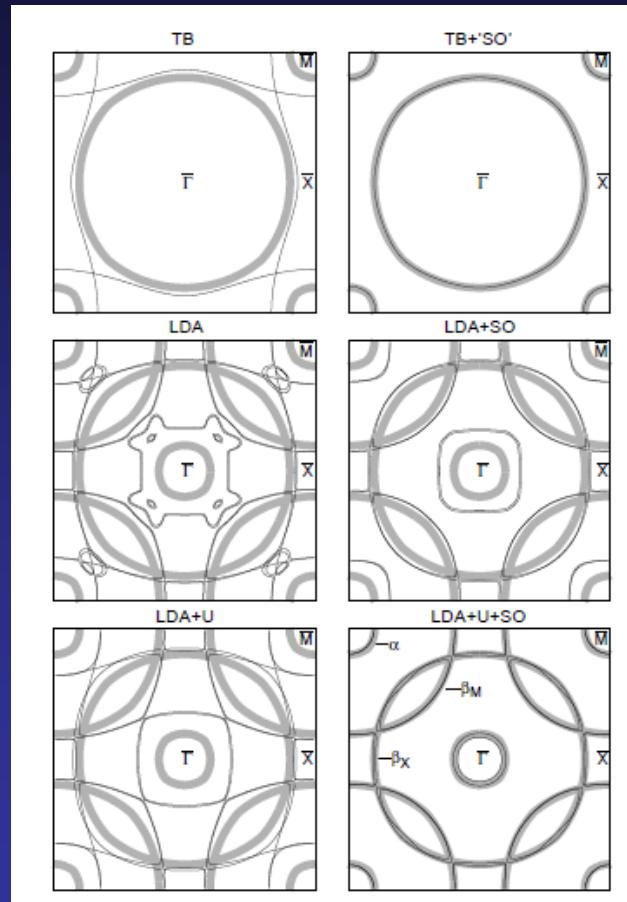
I. Nagai et al.
unpublished

Importance of SOC in Sr_2RhO_4

ARPES FS
not 100% consistent with LDA FS



Haverkort et al. PRL(2008)



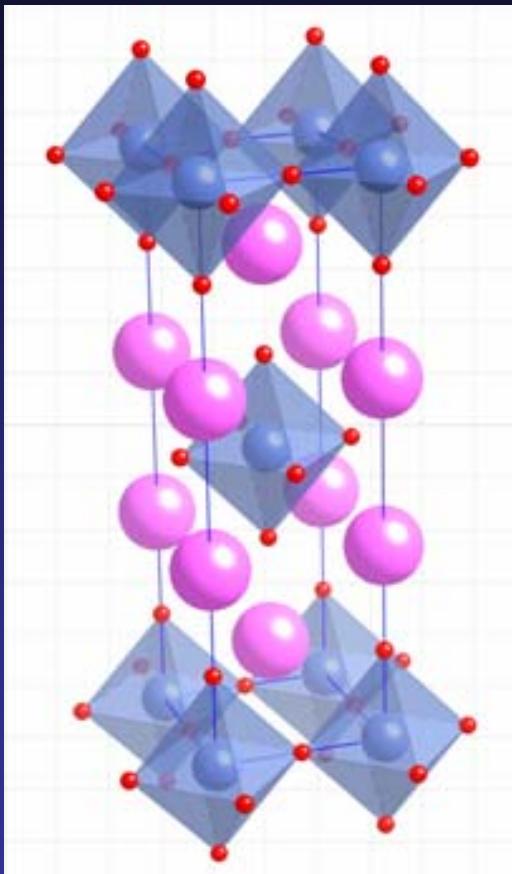
Liu et al. PRL(2008)

SOC
100-200meV

Tend to make FS
isotropic

Group 9 Sr₂MO₄

K₂NiF₄ structure



Five d-electrons d^5

3d Sr_2CoO_4 Ferromagnetic metal

4d Sr_2RhO_4 paramagnetic metal

5d Sr_2IrO_4

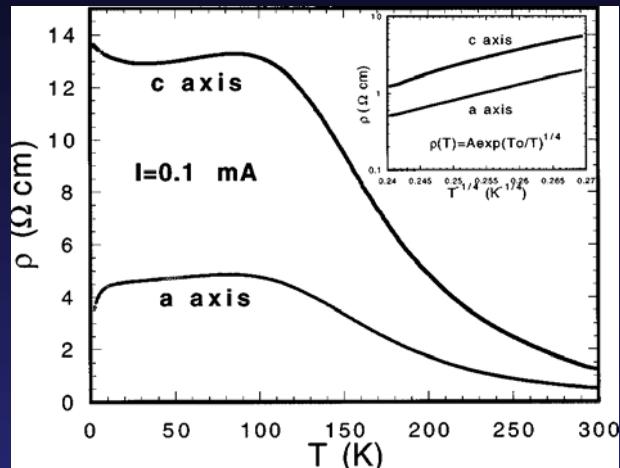
Transfer increase

0.026										
Mg										
Ca	Sc 0.39	Ti 5.3	V	Cr	Mn	Fe	Co	Ni	Cu	Zn 0.9
Er	Y 0.52	Zr 9.2	Nb 0.92	Mo 8.8	Tc 0.49	Ru	Rh	Pd	Ag	Cd 0.56
Ba	La 6.0	Hf 0.09	Ta 4.48	W 0.01	Re 1.70	Os 0.66	Ir 0.11	Pt	Au	Hg 4.16
Ra	Ac	Ce	Pr	Nd	Pm	Sm	Eu	Gd	Tb	Dy

Sr_2IrO_4 , a magnetic insulator

G.Cao et al. PRB 1998

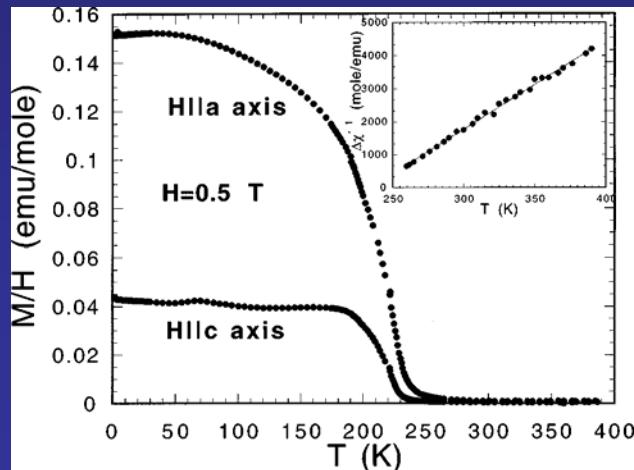
Electric



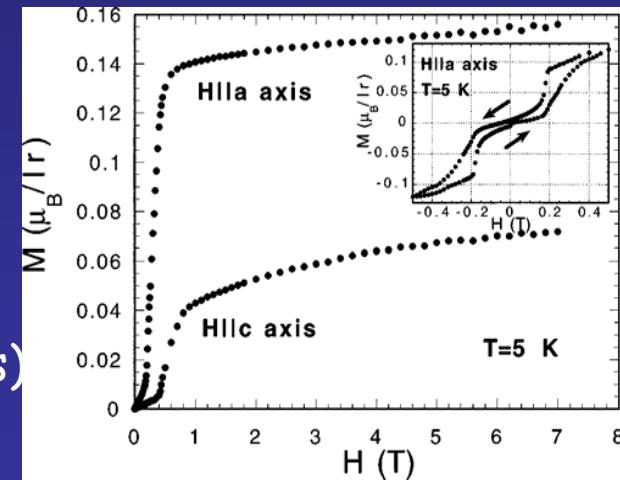
Mott insulator?

*Metamagnetic transition
Weakly ferromagnetic
at least $H > H_c$*

Magnetic

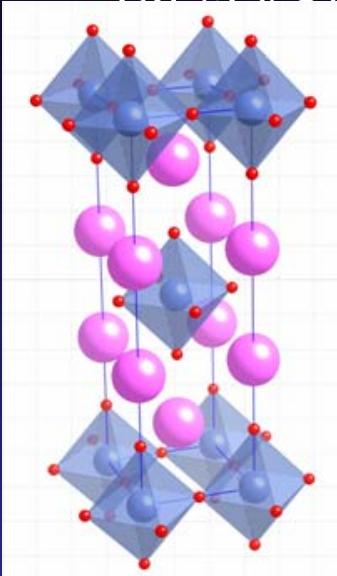


- $T_c \sim 240 \text{ K}$
- $\mu_s \sim 0.1 \mu_B/\text{Ir}$
- $\mu_{\text{eff}} = 0.5 \mu_B/\text{Ir}$
- Magnetic anisotropy (easy axis along a axis)



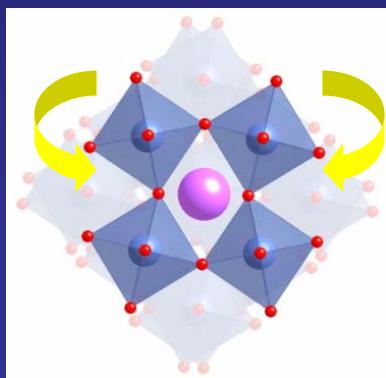
Why Sr_2IrO_4 insulating?

K₂NiF₄ structure

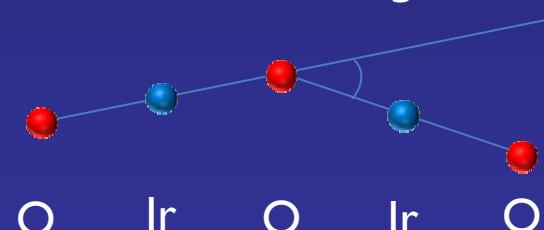


Five d-electrons	d^5
3d Sr_2CoO_4	ferromagnetic metal
4d Sr_2RhO_4	paramagnetic metal
5d Sr_2IrO_4	magnetic insulator

Transfer increase



Octahedron rotates 11°
M-O-M bond angle ~ 22°



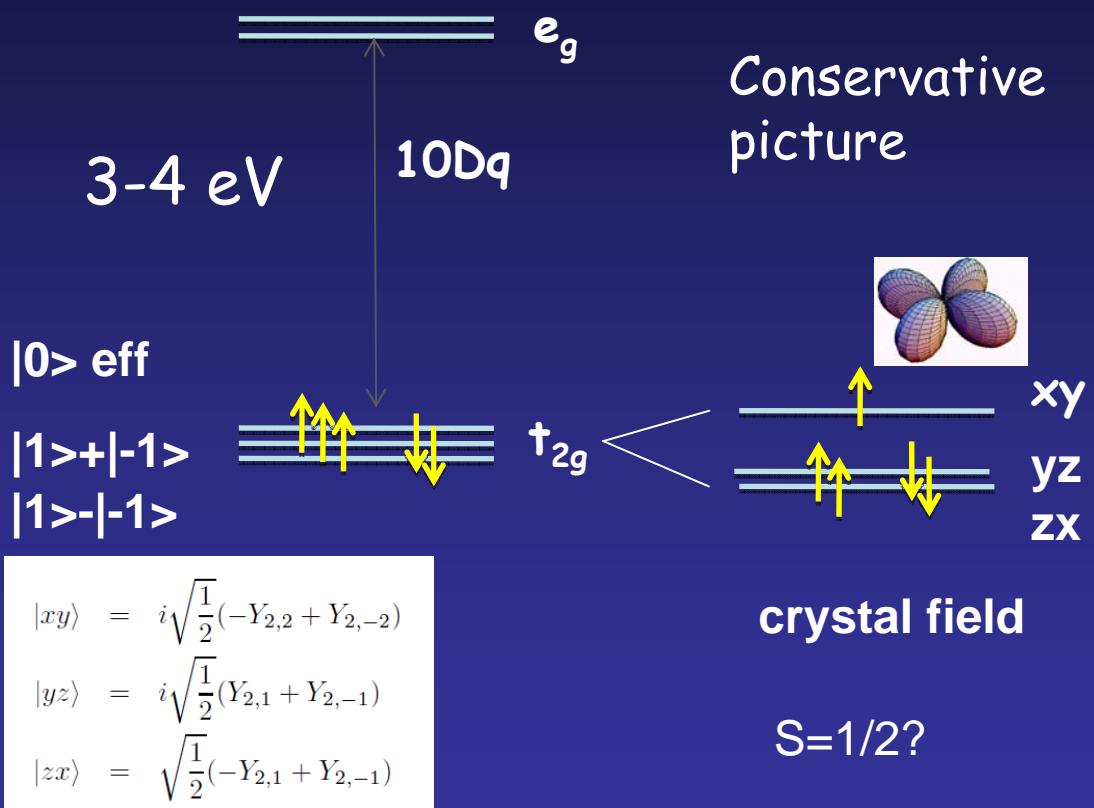
Sr_2RhO_4 20° !

.026											
Mg											A
Ca	Sc	Ti 0.39	V 5.3	Cr	Mn	Fe	Co	Ni	Cu	Zn 0.9	O
Er	Y	Zr 0.52	Nb 9.2	Mo 0.92	Tc 8.8	Ru 0.49	Rh	Pd	Ag	Cd 0.56	I
Ba	La	Hf 6.0	Ta 0.09	W 4.48	Re 0.01	Os 1.70	Ir 0.66	Pt 0.11	Au	Hg 4.16	T
Ra	Ac	Ce	Pr	Nd	Pm	Sm	Eu	Gd	Tb	Dy	
		Eu	Pr	Ho	Lu	Er	Tb	Y	Dy	Ce	

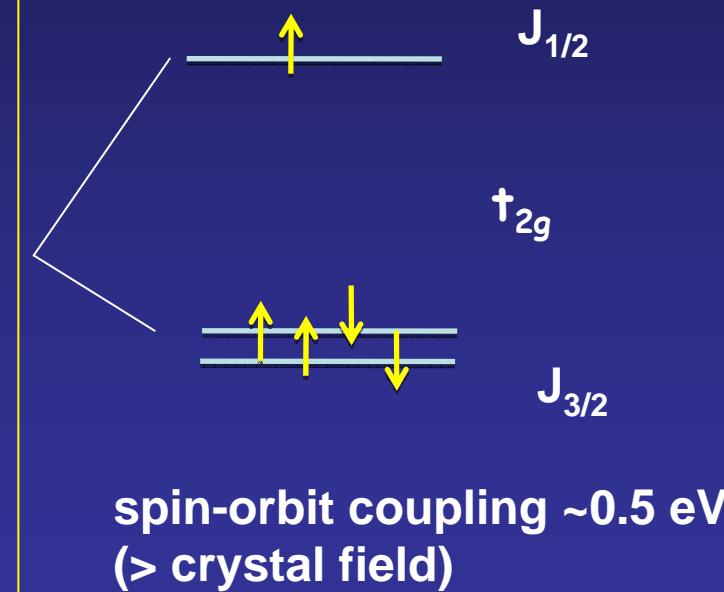
Sr_2IrO_4 Spin-orbit driven Mott insulator?

B.J.KIM

Ir 4+ ($5d^5$), low spin config.



Magnetic Insulator
With $J_{1/2}$ moment

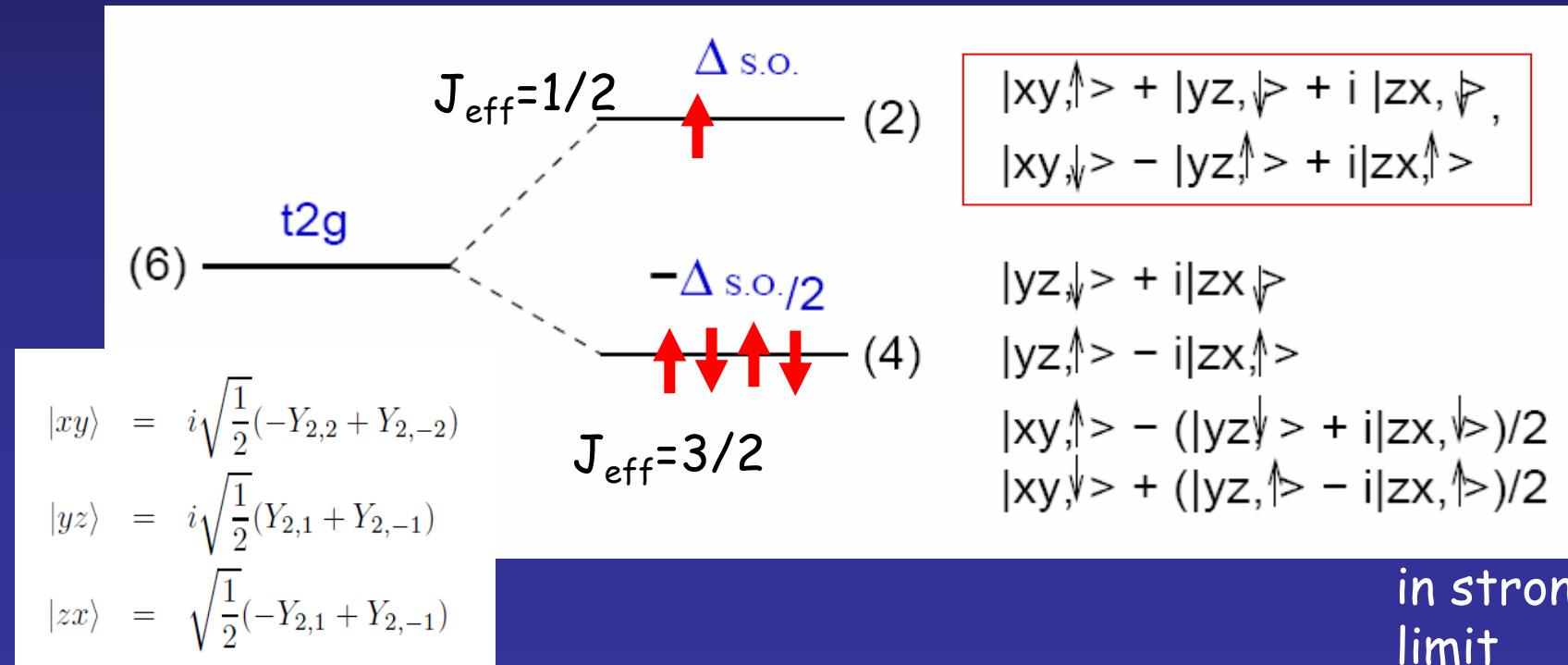


Octrahedron elongated along c
A few to several 100 meV

$J_{eff}=1/2$ states

$L_{t_{2g}} \rightarrow -L_{2p}$ inverts the energy order of J_{eff} multiplets

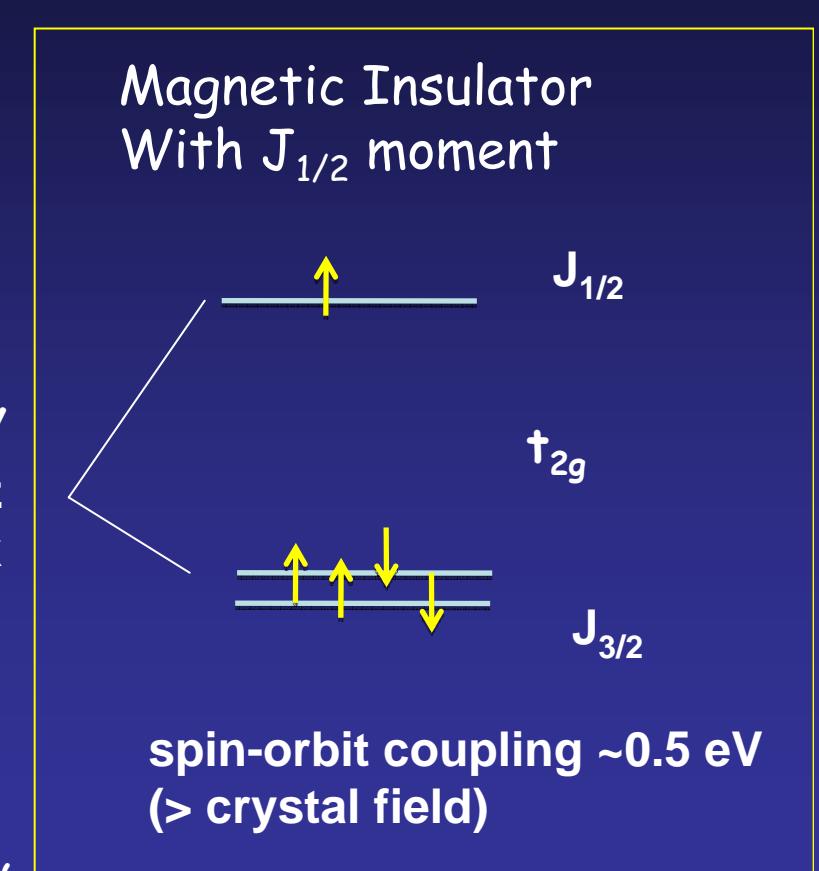
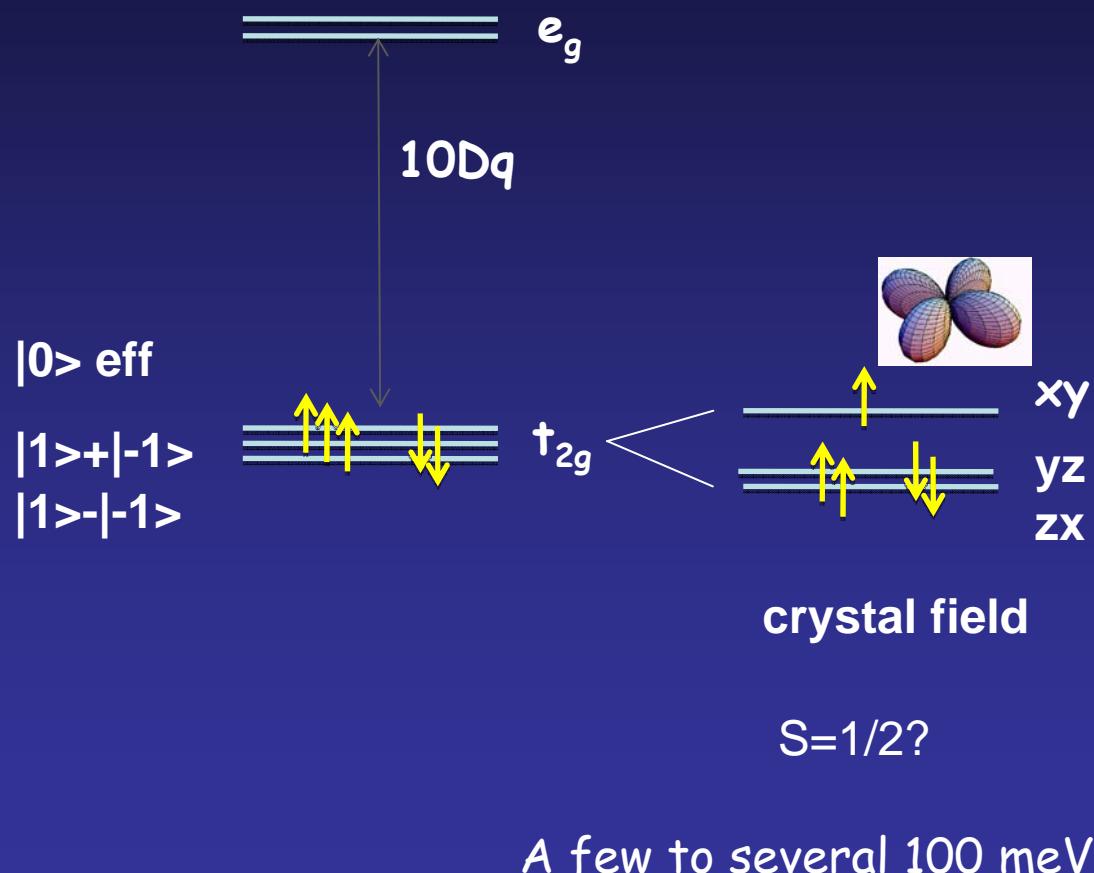
$$H_{SO} = \Delta \mathbf{L} \cdot \mathbf{S} = \left(\begin{array}{ccc|c} 0 & \Delta/2 & -i\Delta/2 & \\ \Delta/2 & 0 & -i\Delta/2 & \\ i\Delta/2 & i\Delta/2 & 0 & \\ \hline & 0 & -\Delta/2 & i\Delta/2 \\ & -\Delta/2 & 0 & i\Delta/2 \\ & -i\Delta/2 & -i\Delta/2 & 0 \end{array} \right), basis = \begin{pmatrix} xy \uparrow \\ yz \downarrow \\ zx \downarrow \\ xy \downarrow \\ yz \uparrow \\ zx \uparrow \end{pmatrix}$$



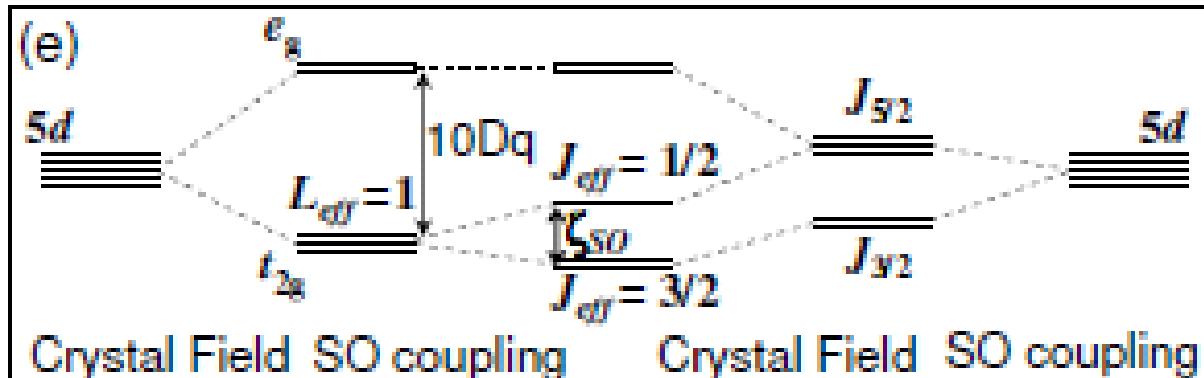
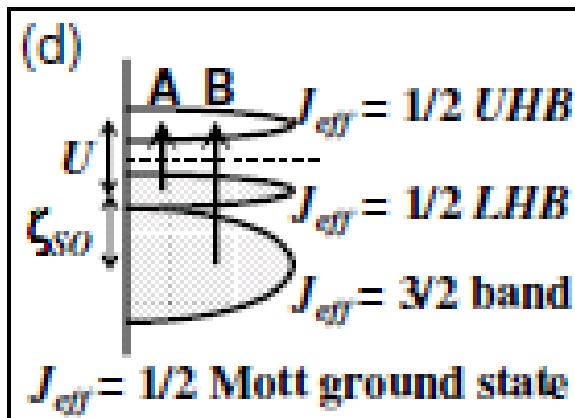
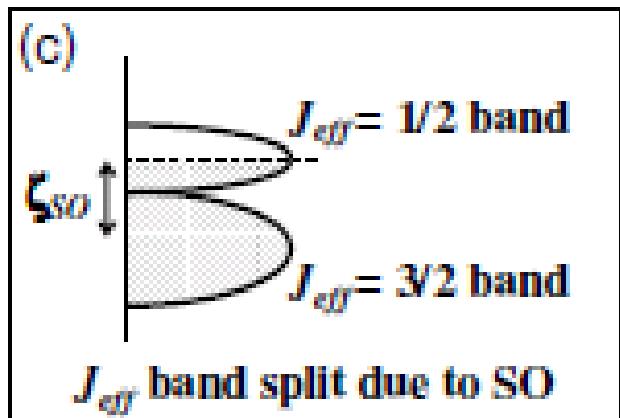
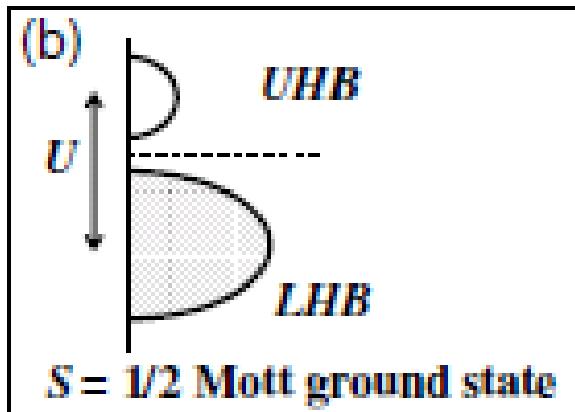
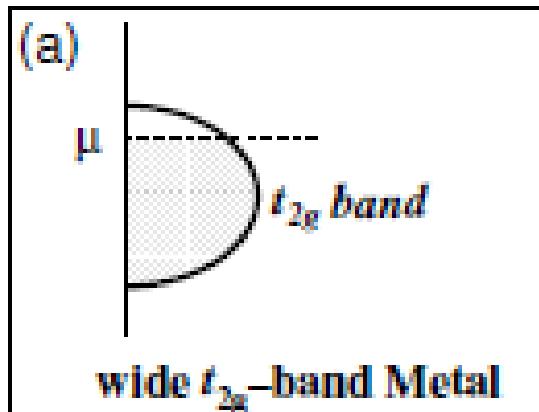
Sr_2IrO_4 Spin-orbit driven Mott insulator?

B.J.KIM

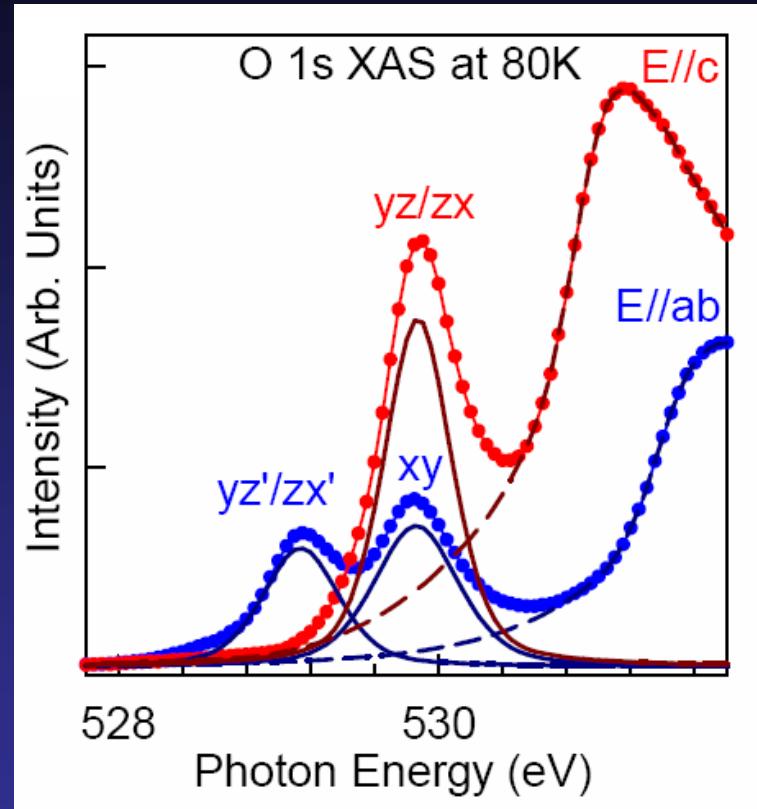
Ir 4+ ($5d^5$), low spin config.



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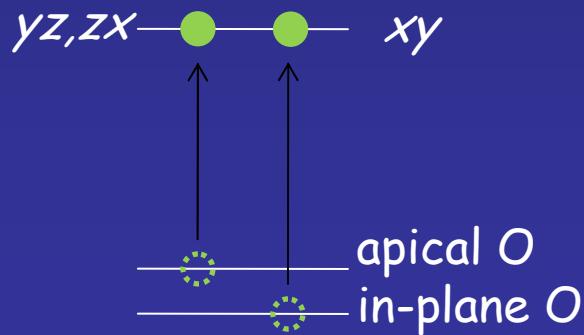
X-ray Absorption Spectroscopy consistent with 1:1:1 xy yz zx



$$J_{eff1/2} = \frac{1}{\sqrt{3}} (\left| xy, \pm 1/2 \right\rangle \pm \left| yz, \mp 1/2 \right\rangle + i \left| zx, \mp 1/2 \right\rangle)$$

Characteristic orbital state with
 $xy:yz:zx = 1:1:1$ ratio of $J_{eff}=1/2$ is
confirmed by O K-edge XAS

B.J.KIM

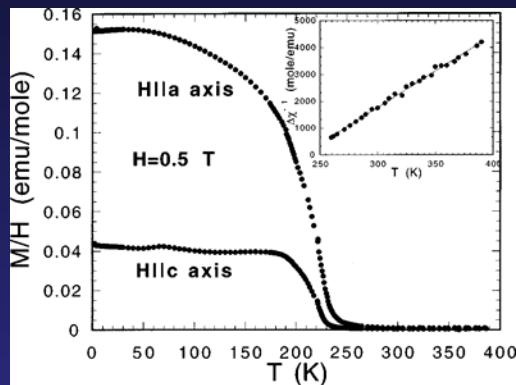


Points to be clarified

$$J_{eff1/2} = \frac{1}{\sqrt{3}} (\left| xy, \pm 1/2 \right\rangle \pm \left| yz, \mp 1/2 \right\rangle + i \left| zx, \mp 1/2 \right\rangle) \quad \langle L_z \rangle = \frac{2}{3}, \langle S_z \rangle = \frac{1}{6}, \langle L_z + 2S_z \rangle = 1$$

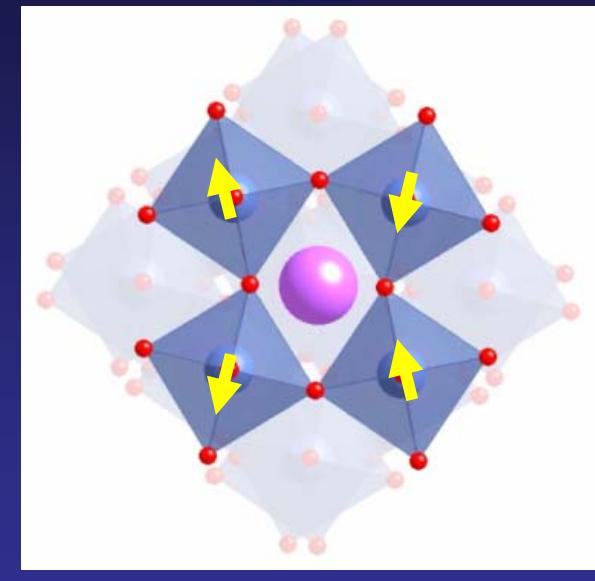
1. Magnetism??

$J_{eff}=1/2$ canted
AF magnet because of rotation of octahedra?



2. Determination of wave function?

complex phase
L S separation



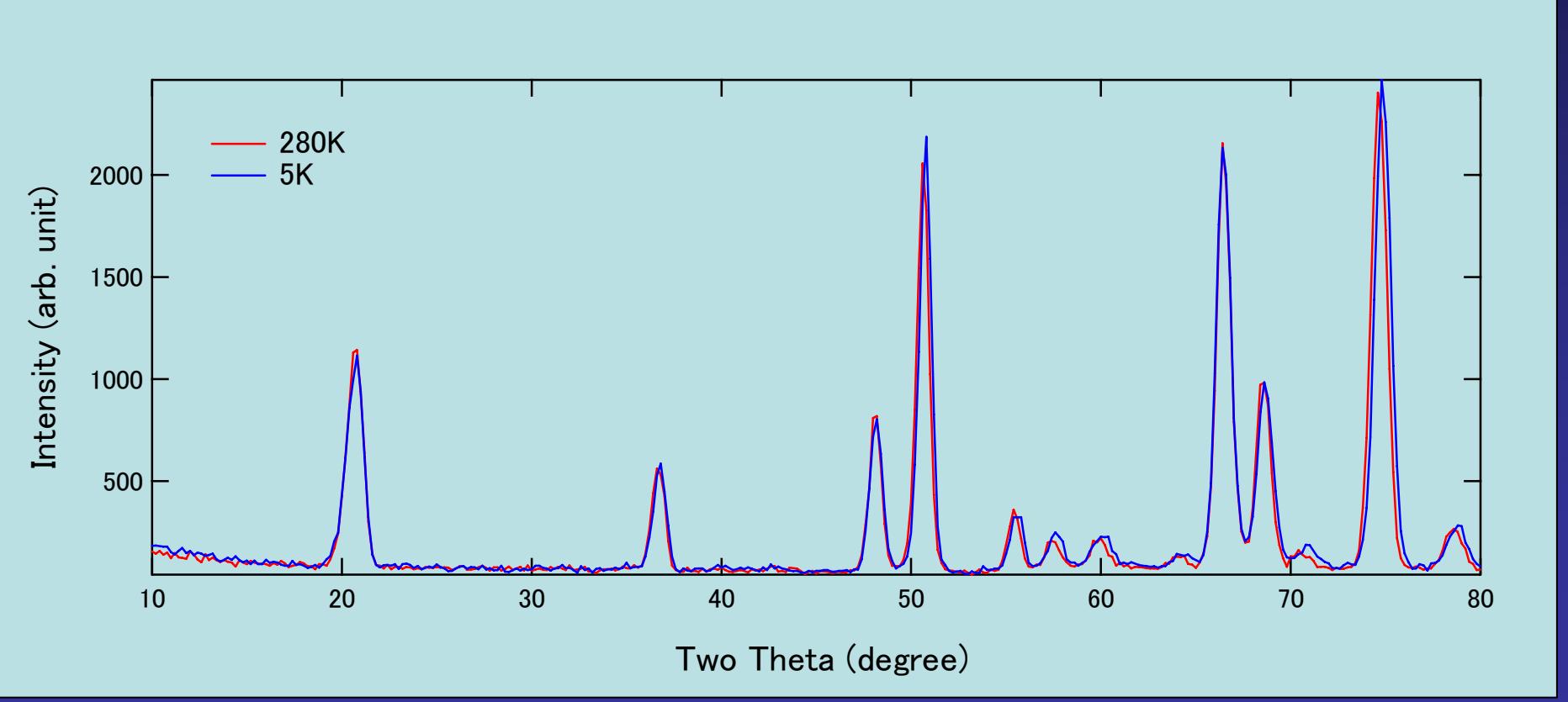
Neutron could not detect magnetic signal

Ir is strong neutron absorber

Moment small ($1/2?$)

Large single crystal not available

Neutron does not distinguish L and S

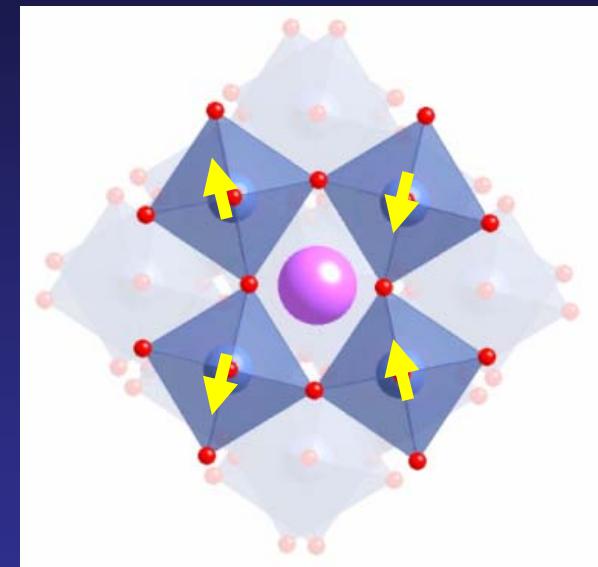
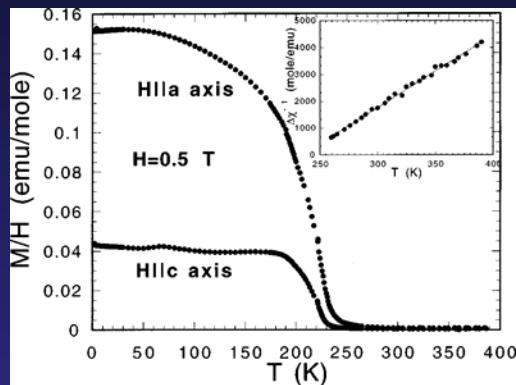


Points to be clarified

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1. Magnetism??

$J_{eff}=1/2$ canted
AF magnet because of rotation of octahedra?

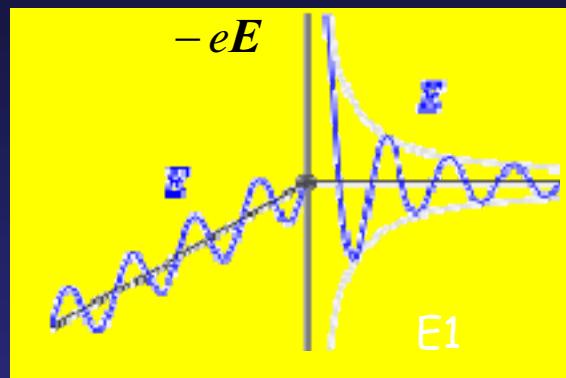


2. Determination of wave function?

complex phase
L S separation

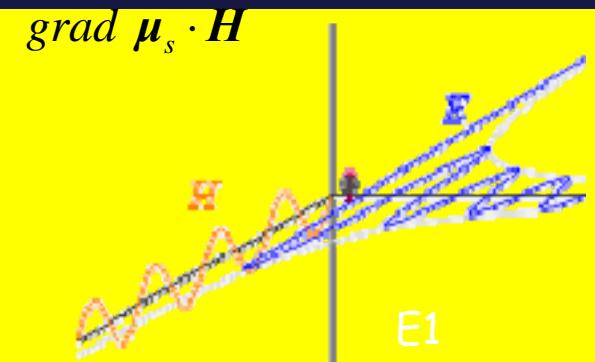
X-ray scattering by electrons

Charge scattering
(Thomson scattering)



Charge amplitude $\sim N_{total}$

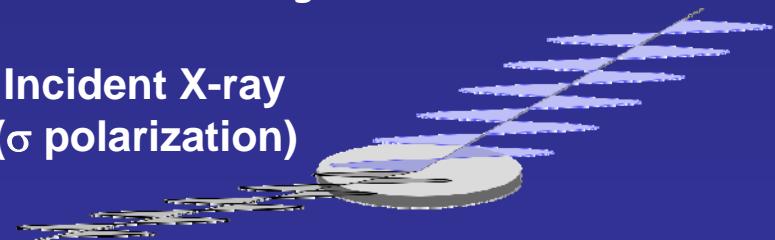
Magnetic scattering



Magnetic amplitude $\sim N_{mag} \cdot \frac{\hbar\omega}{mc^2} \sim \frac{\text{Charge amplitude}}{1000}$

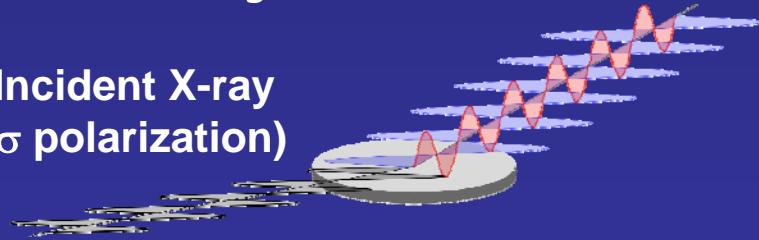
Not induce orthogonal waves

Incident X-ray
(σ polarization)

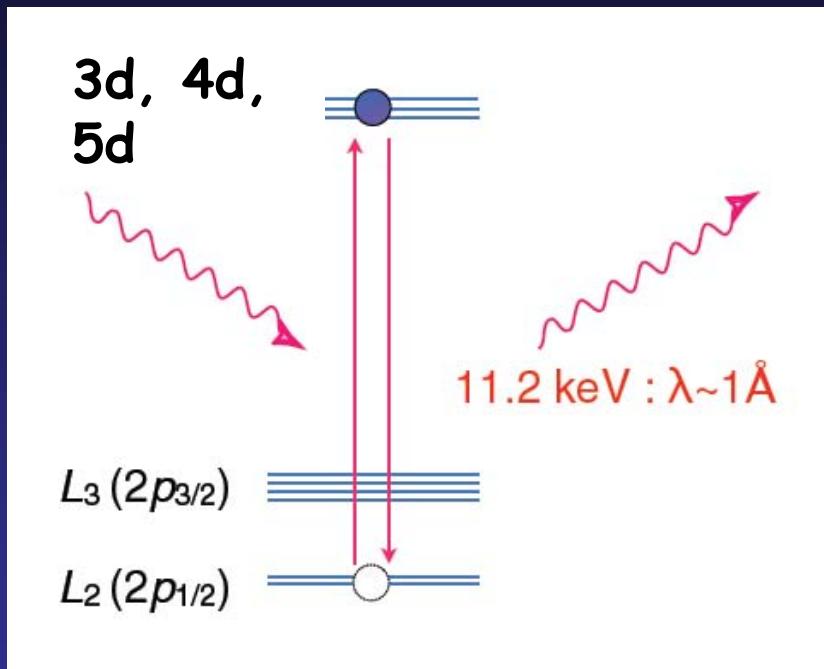


Induce orthogonal waves

Incident X-ray
(σ polarization)



Resonant magnetic x-ray



$$f_{\alpha\beta} = \sum_m \frac{m_e \omega_{im}^3}{\omega} \frac{\langle i | R_\beta | m \rangle \langle m | R_\alpha | i \rangle}{\hbar\omega - \hbar\omega_{im} + i\Gamma/2}.$$

Enhance signal from t_{2g} in charge of magnetism
can gain more magnetic scattering

Can expect quantum interference through intermediate state
detection of phase

Ir compounds as an ideal playground for magnetic x-ray diffraction using L-edge (2p→d)

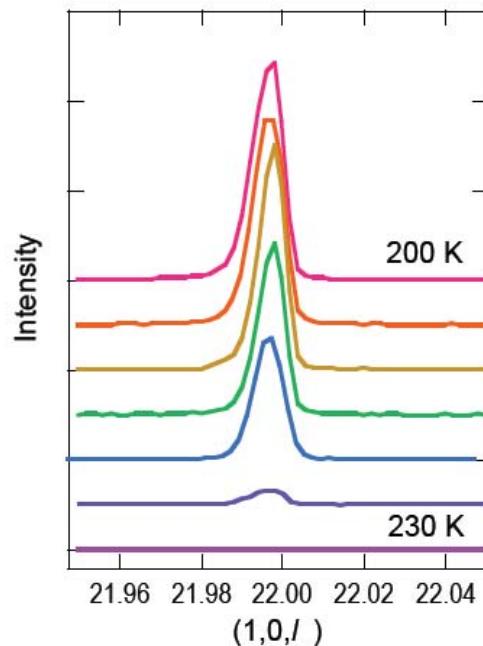
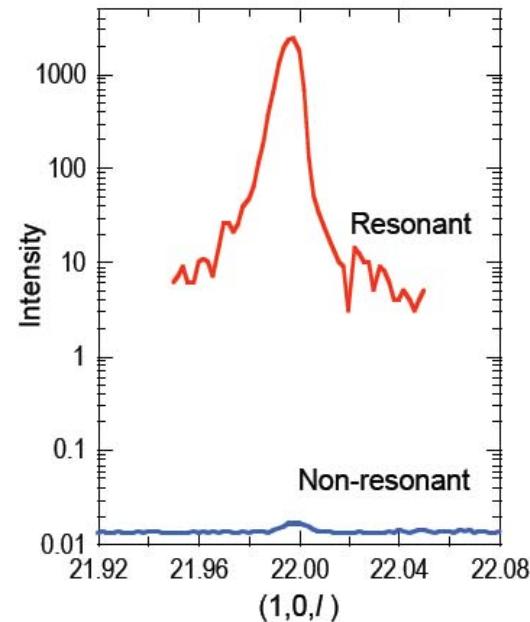
Ir wave length 0.1 nm because of high energy!!

3d Cu as long as 1nm!! Only long wave length modulation
the same is true for 4f

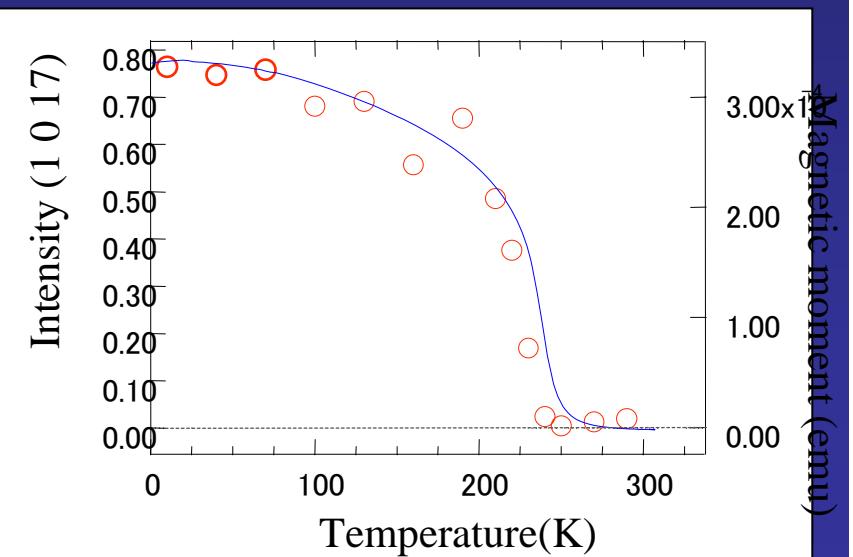
Element		Edge Energies (keV)	
Symbol	Ir	K	76.1119995
Z	77	L1	13.4239998
Atomic Weight	192.199997	L2	12.8240004
Density	22.4200001	L3	11.2150002
		M	3.1719993
		K-alpha	64.8860016
		K-beta	73.5490036
		L-alpha	9.17300034
		L-beta	10.7060003

Element		Edge Energies (keV)	
Symbol	Cu	K	8.97900009
Z	29	L1	1.10000002
Atomic Weight	63.5400009	L2	0.952000022
Density	8.93999958	L3	0.931999981
		M	0.119999997
		K-alpha	8.04699993
		K-beta	8.90400028
		L-alpha	0.
		L-beta	0.

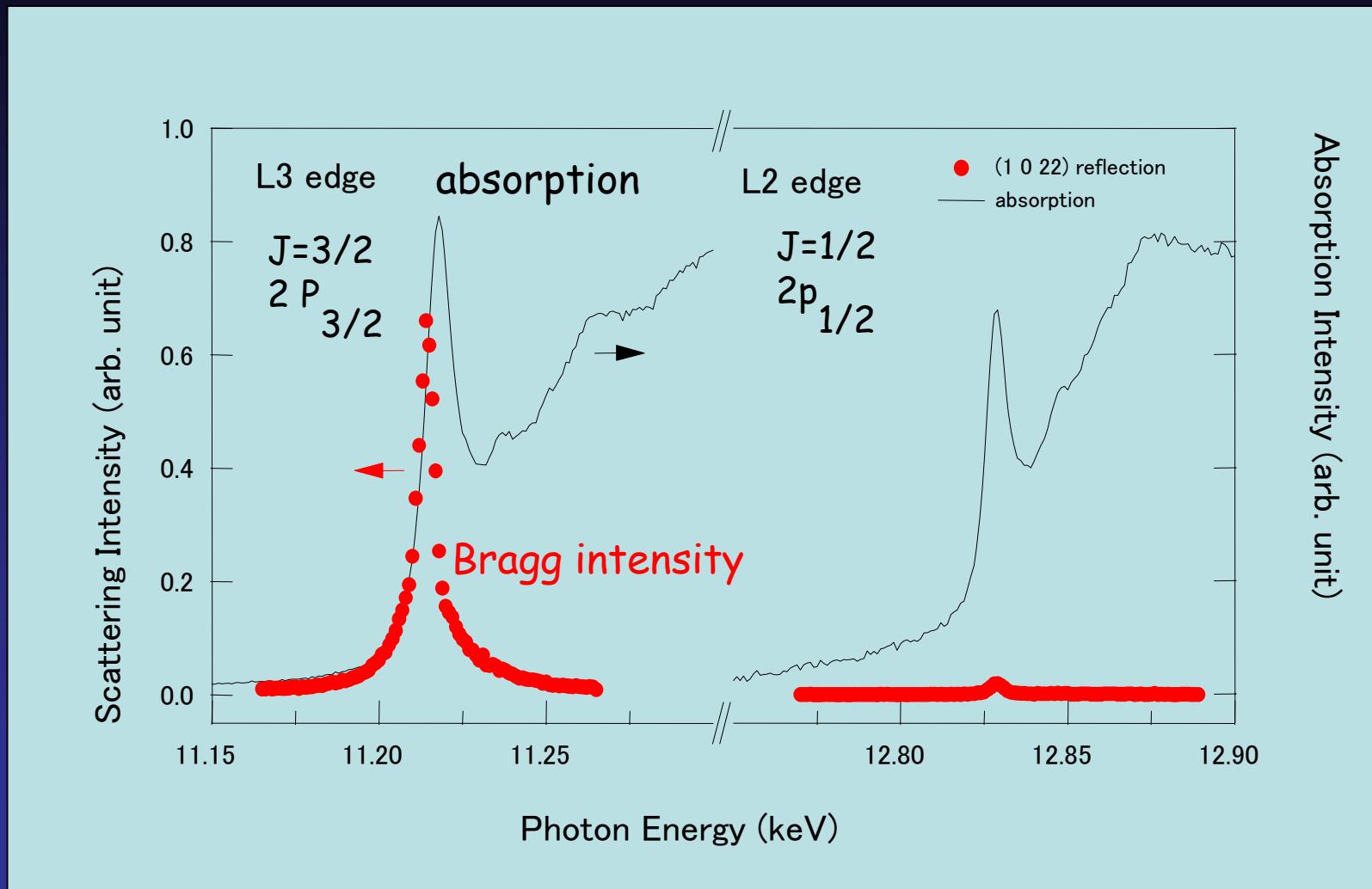
Gigantic enhancement of magnetic x-ray diffraction peak



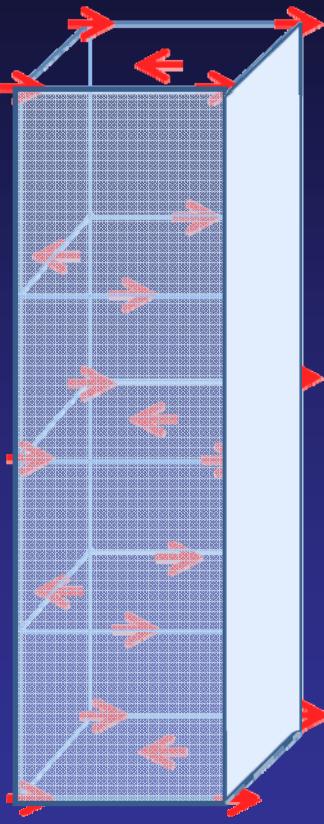
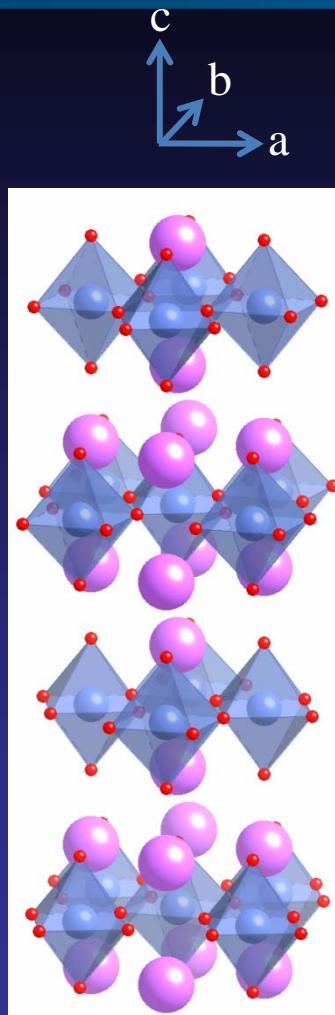
10^6 enhancement
due to resonance



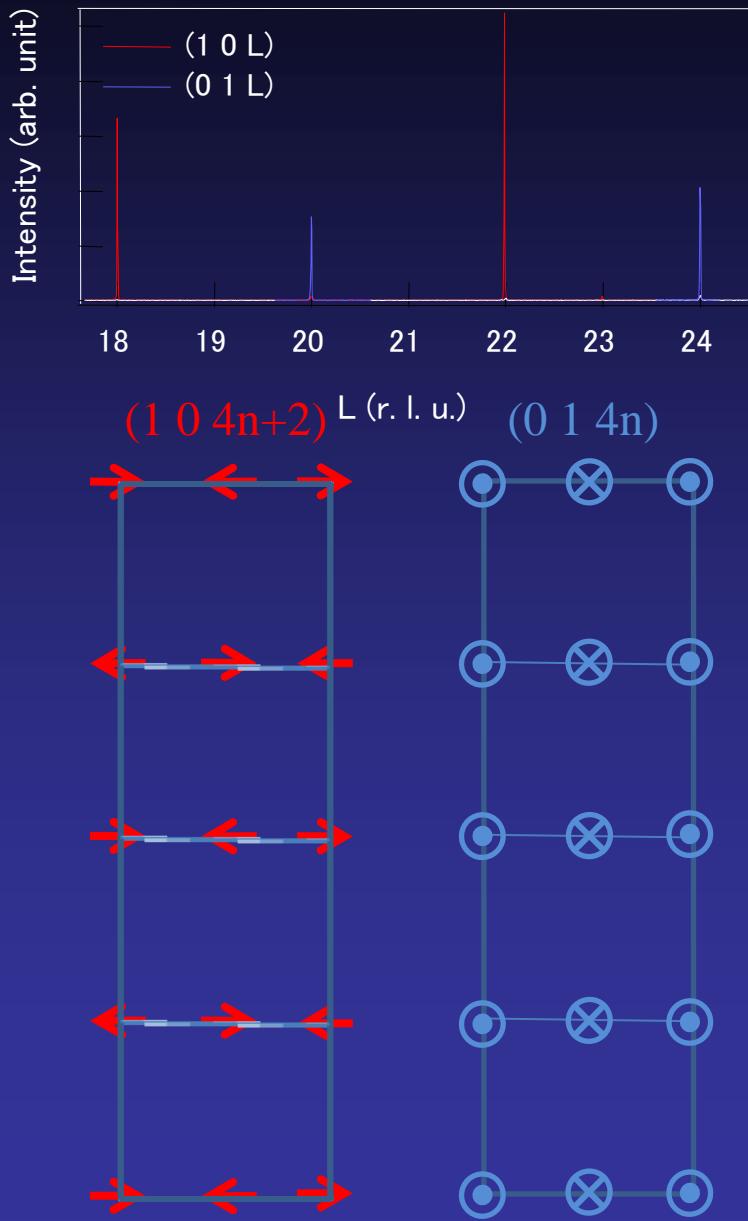
Gigantic enhancement of magnetic x-ray diffraction



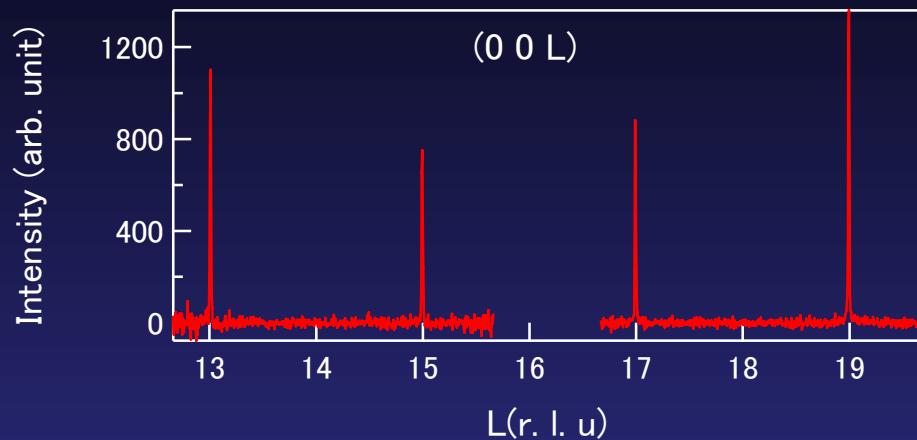
Magnetic Bragg peak consistent with canted AF



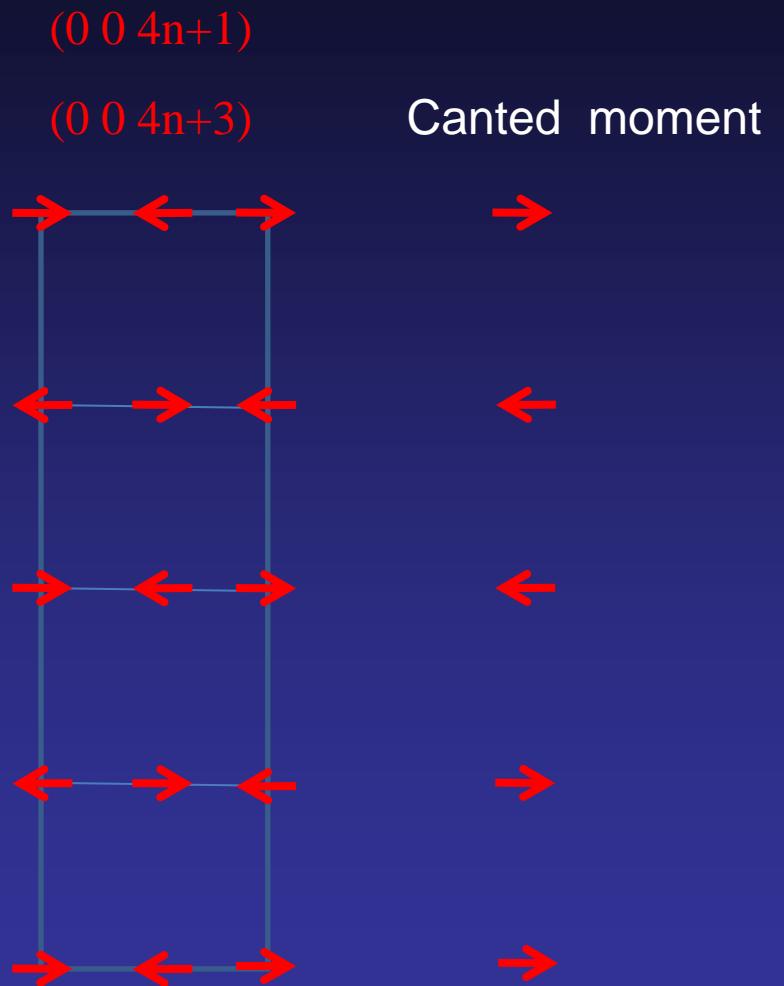
Stacking of 2D AF layers
Along c -axis



Magnetic Bragg peak consistent with canted AF



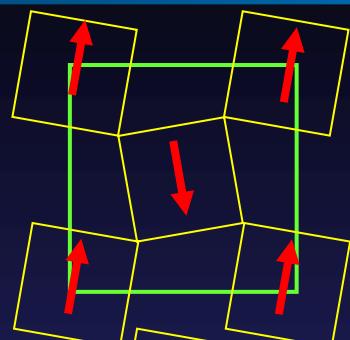
up up down down
stacking of canted moments
along c-axis



Magnetic structure

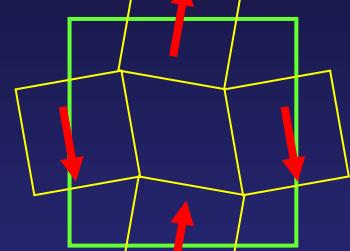
$H=0$

1st IrO_2 layer

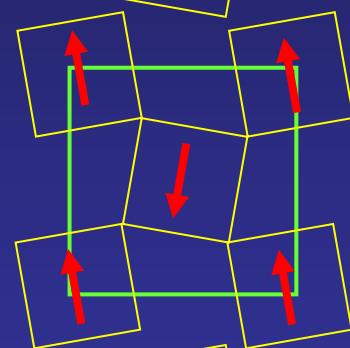


Canted moment

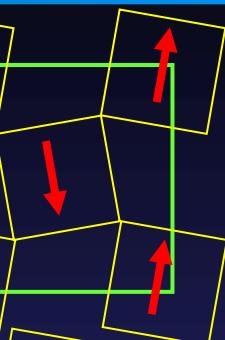
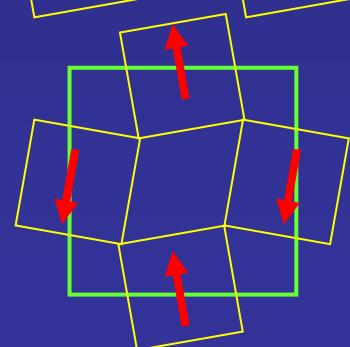
2nd IrO_2 layer



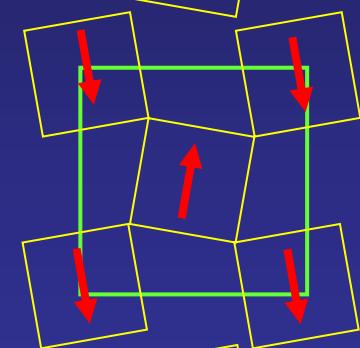
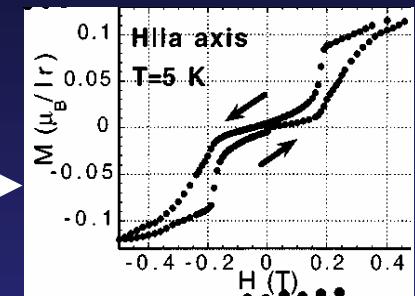
3rd IrO_2 layer



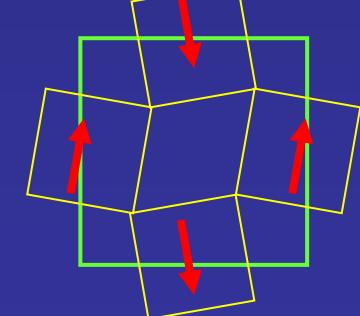
4th IrO_2 layer



$H > H_c$
Meta
-magnetic

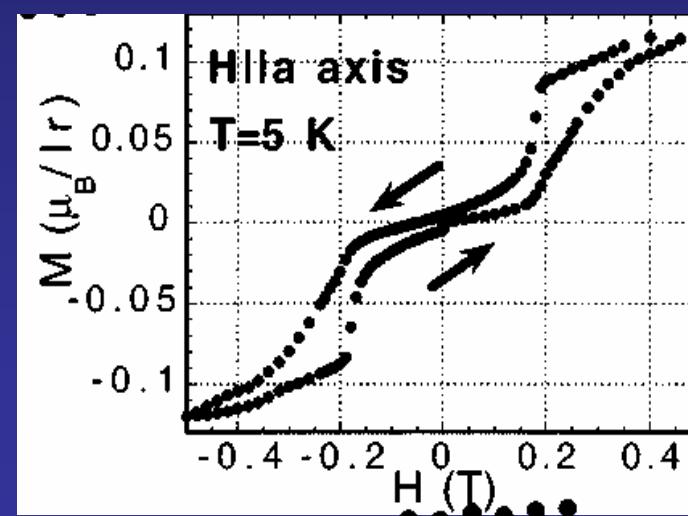
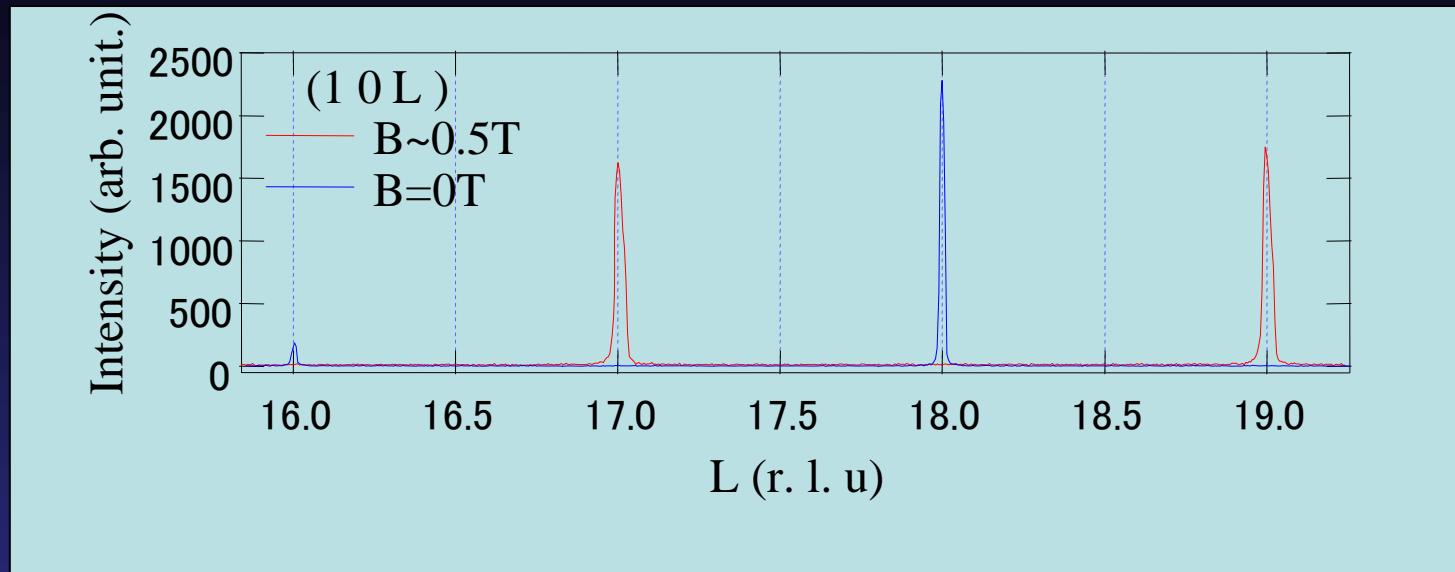


$2c$



c

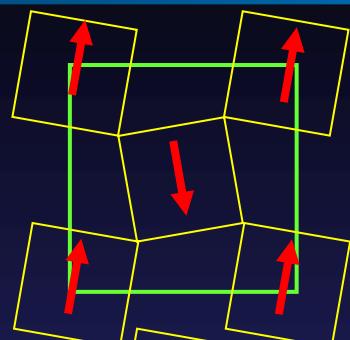
Metamagnetism seen in magnetic x-ray diffraction



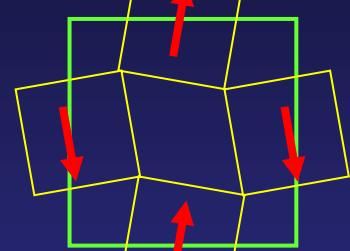
Magnetic structure

$H=0$

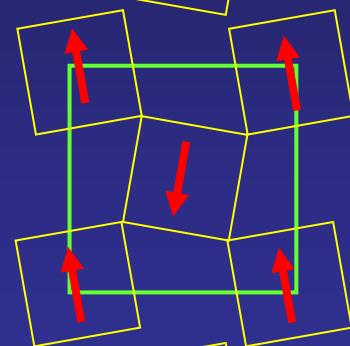
1st IrO_2 layer



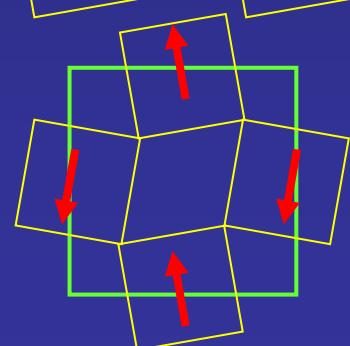
2nd IrO_2 layer



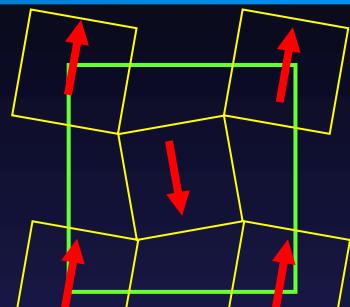
3rd IrO_2 layer



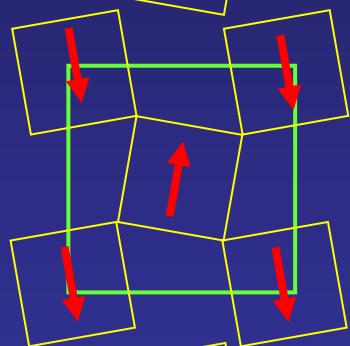
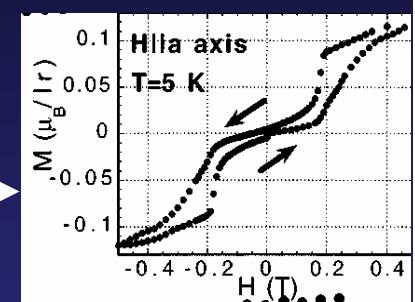
4th IrO_2 layer



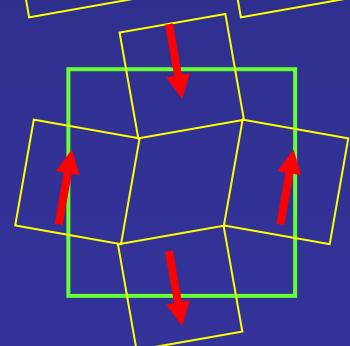
Canted moment



$H > H_c$
Meta
-magnetic



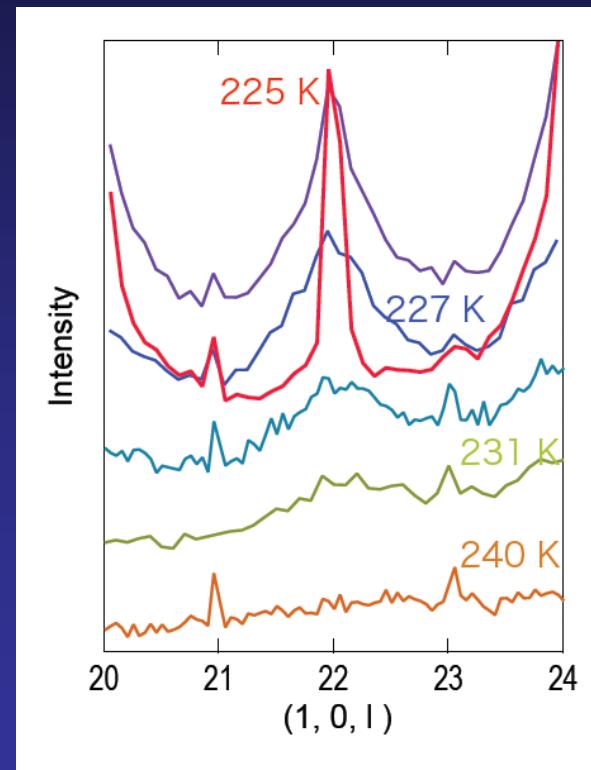
2c



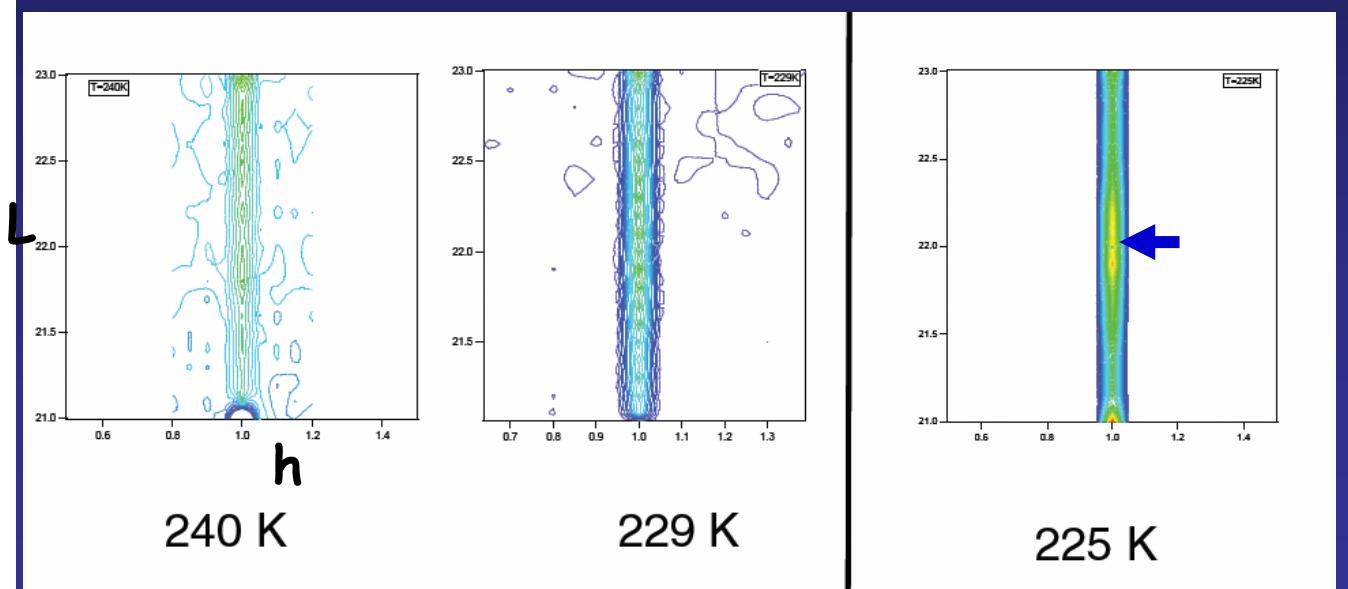
c

2D spin correlations observed by magnetic diffuse x-ray scattering

with 100 μm size crystals!!!



Contour plot in $(h, 0, l)$ plane

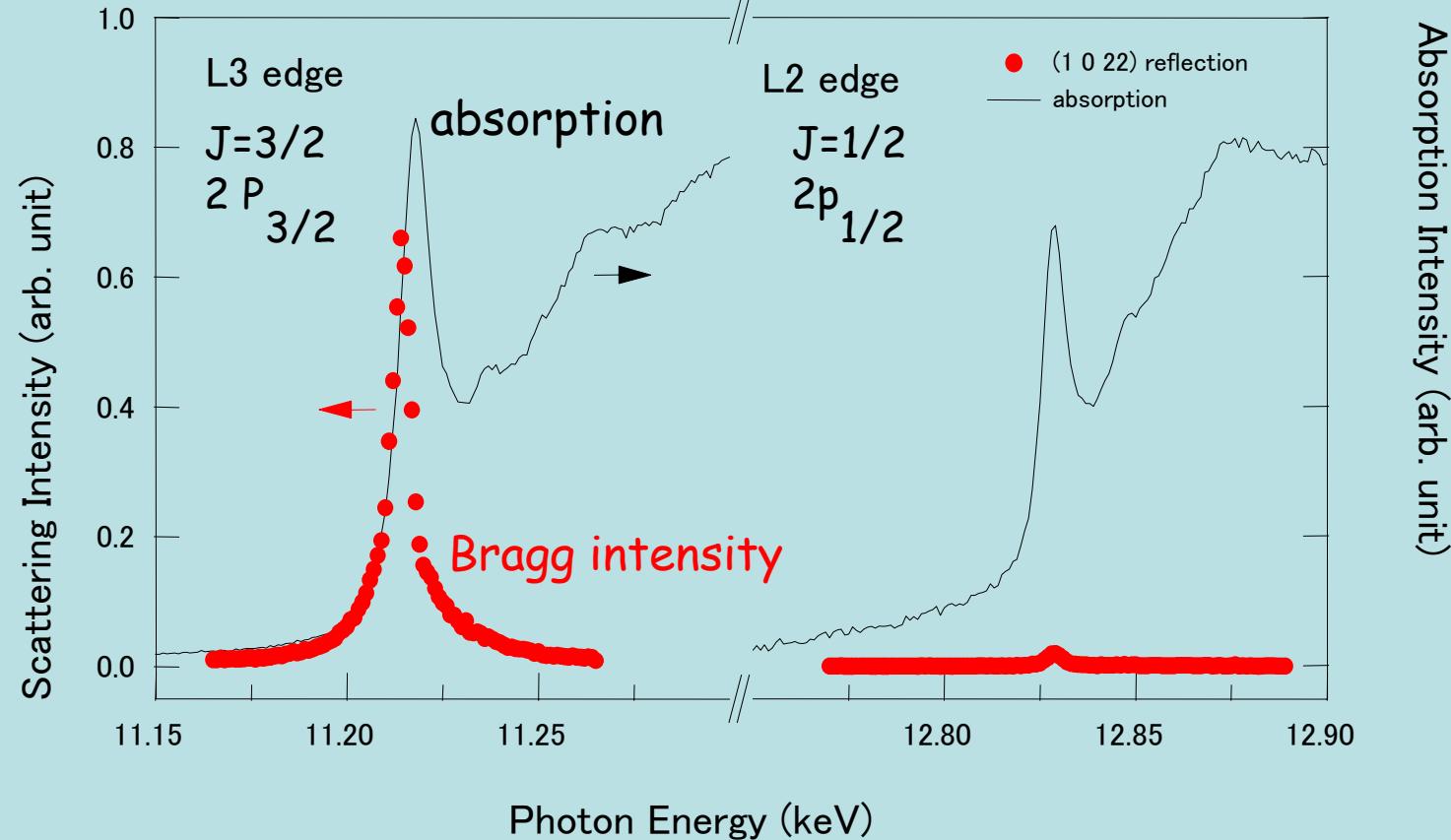


Diffuse scattering
Dynamic magnetic correlation

$T > T_N$
2D rod

$T < T_N$
Bragg point

Selection rule for magnetic x-ray diffraction

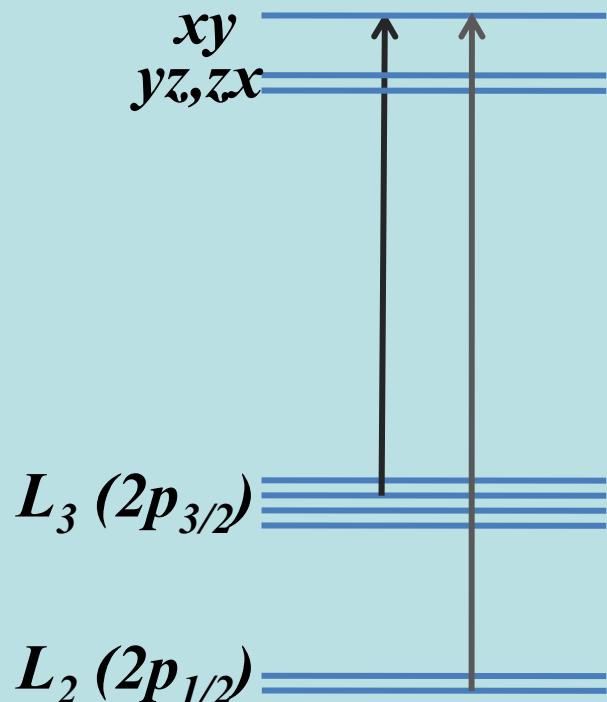


Beyond neutron!

Almost no resonance at L_2 :
 L_2 scattering intensity is only about 1% of that of the L_3 .

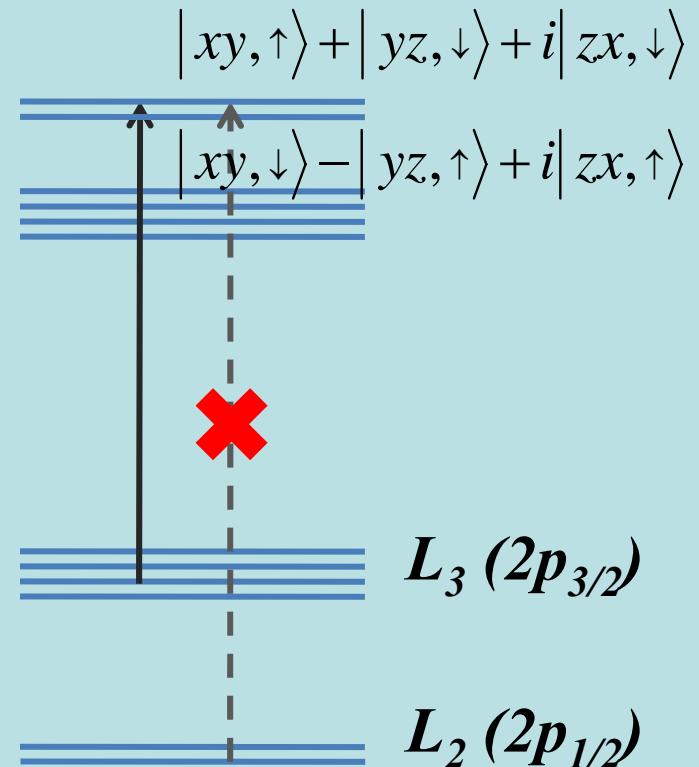
Selection rule in magnetic x-ray scattering

$$S=1/2$$



I:I intensity ratio between $L3$ and $L2$ is expected

$$J_{eff}=1/2$$



Zero intensity at $L2$ is expected

Extinction rule for L2 and L3 edges

$$f_{\alpha\beta} = \sum_m \frac{m_e \omega_{im}^3}{\omega} \frac{\langle i | R_\beta | m \rangle \langle m | R_\alpha | i \rangle}{\hbar\omega - \hbar\omega_{im} + i\Gamma/2}.$$

$$c_1 |xy, \uparrow\rangle + c_2 |yz, \downarrow\rangle + c_3 |zx, \downarrow\rangle.$$

$$\mathbf{f^{L2}}_{\alpha\beta} = \frac{1}{6} \begin{pmatrix} (c_1 + ic_3)(c_1^* - ic_3^*) & (ic_1^* + c_3^*)(c_1 - c_2) & 0 \\ (-ic_1 + c_3)(c_1^* - c_2^*) & (c_1 - c_2)(c_1^* - c_2^*) & 0 \\ 0 & 0 & (c_2 + ic_3)(c_2^* - ic_3^*) \end{pmatrix}.$$

S=1/2 model(xy orbital)

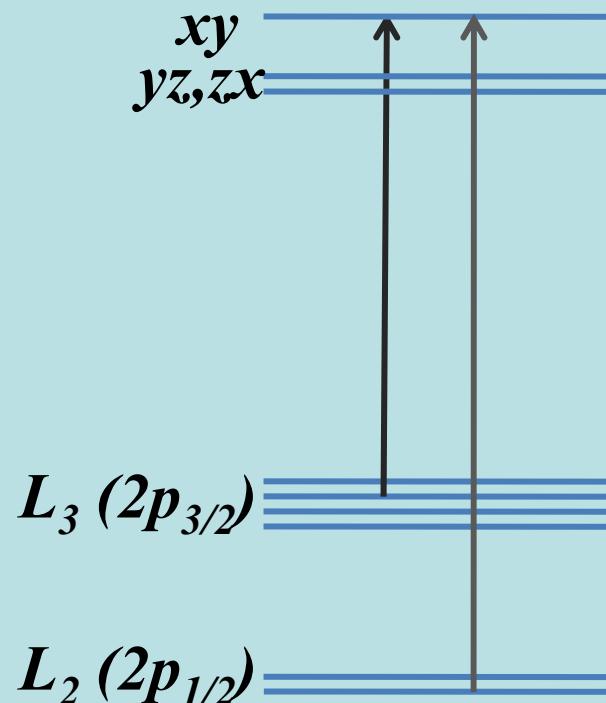
J_{eff}=1/2 model

$$\text{L3} \quad f_{(L_3)}^{\alpha\beta} = \begin{pmatrix} 1/3 & i/6 & 0 \\ -i/6 & 1/3 & 0 \\ 0 & 0 & 0 \end{pmatrix} \quad f_{(L_3)}^{\alpha\beta} = \begin{pmatrix} 1/3 & i/6 & 0 \\ -i/6 & 1/3 & 0 \\ 0 & 0 & 0 \end{pmatrix}$$

$$\text{L2} \quad f_{(L_2)}^{\alpha\beta} = \begin{pmatrix} 1/6 & i/6 & 0 \\ -i/6 & 1/6 & 0 \\ 0 & 0 & 0 \end{pmatrix} \quad f_{(L_2)}^{\alpha\beta} = \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{pmatrix}$$

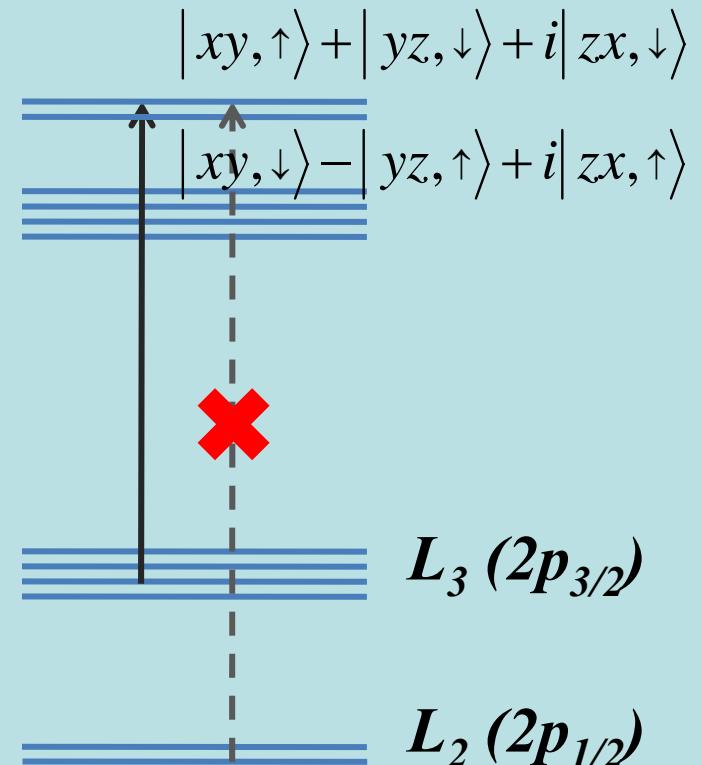
Selection rule consistent with $J_{eff}=1/2$

$S=1/2$



I:I intensity ratio between $L3$ and $L2$ is expected

$J_{eff}=1/2$



Zero intensity at $L2$ is expected

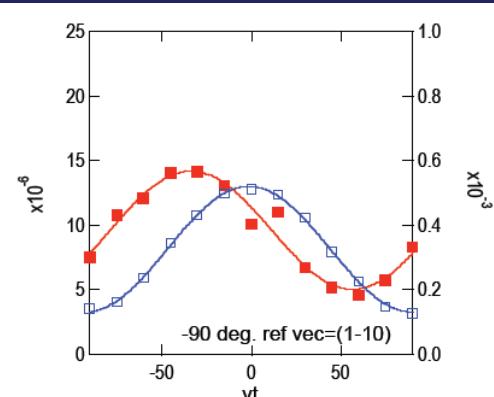
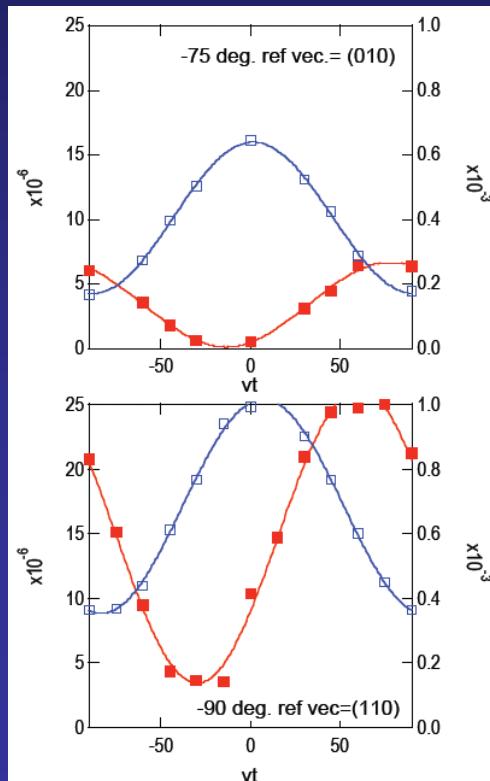
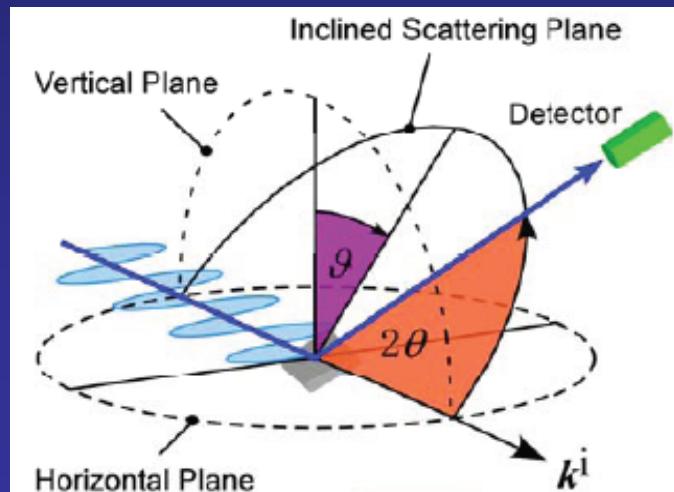
LS decoupling by “non-resonant” scattering

$$\begin{pmatrix} E'_\sigma \\ E'_\pi \end{pmatrix} = \begin{pmatrix} S_2 \sin 2\theta & -2 \sin^2 \theta [(S_1 + L_1) \cos \theta - S_3 \sin \theta] \\ 2 \sin^2 \theta [(S_1 + L_1) \cos \theta + S_3 \sin \theta] & [2L_2 \sin^2 \theta \cos \theta + S_2] \sin 2\theta \end{pmatrix} \begin{pmatrix} E_\sigma \\ E_\pi \end{pmatrix}$$

M. Blume and Doon Gibbs, Phys. Rev. B **37**, 1779 (1988).

$$J_{eff1/2} = \frac{1}{\sqrt{3}} (\left| xy, \pm 1/2 \right\rangle \pm \left| yz, \mp 1/2 \right\rangle + i \left| zx, \mp 1/2 \right\rangle)$$

$$\langle L_z \rangle = \frac{2}{3}, \langle S_z \rangle = \frac{1}{6}, \langle L_z + 2S_z \rangle = 1$$



$$|\mathbf{L}| : |\mathbf{S}| = 4 : 1$$

moment is located along a

Summary of Sr_2IrO_4

" $J_{\text{eff}}=1/2$ " Mott insulator not $S=1/2$ Mott insulator

Wave function
$$J_{\text{eff}1/2} = \frac{1}{\sqrt{3}} \left(|xy, \pm 1/2\rangle \pm |yz, \mp 1/2\rangle + i|zx, \mp 1/2\rangle \right)$$

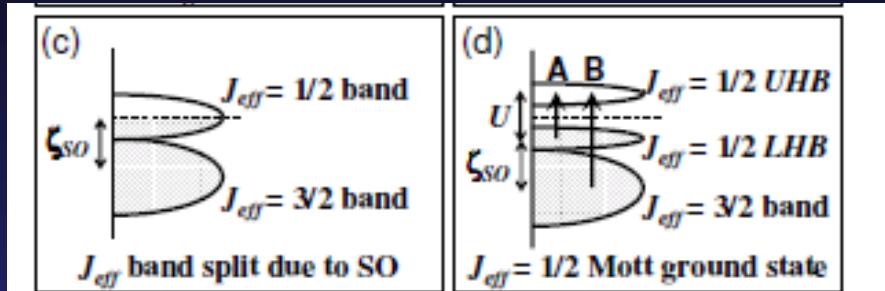
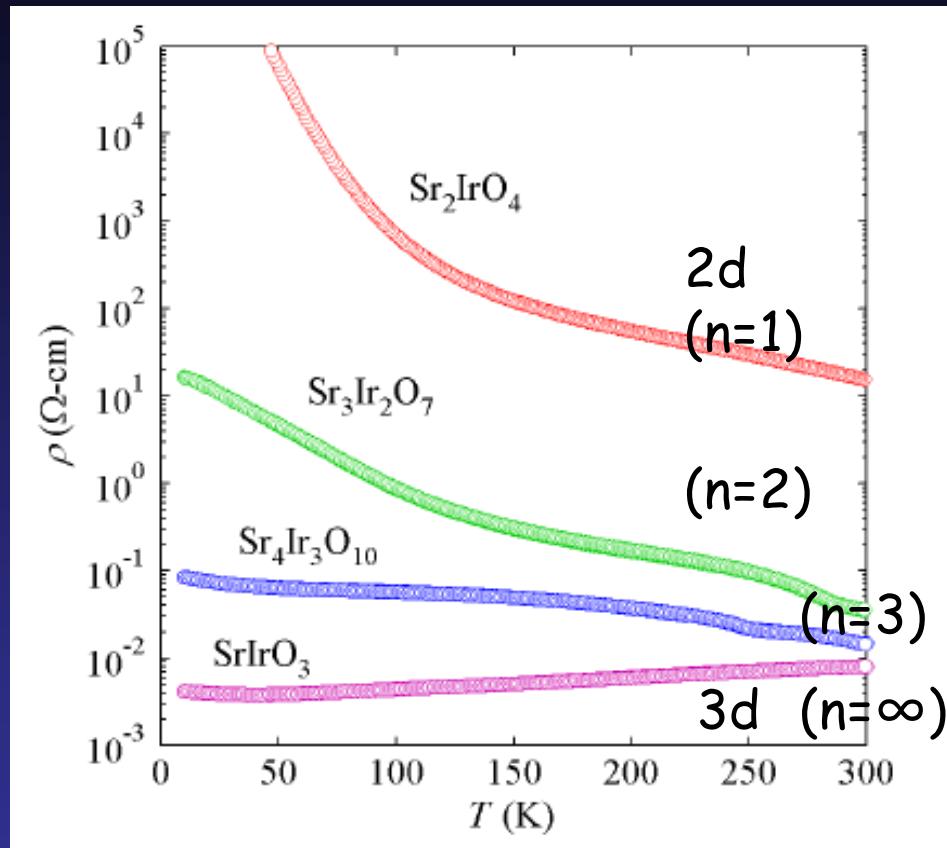
in strong SOC limit

- interplay between coulomb U and a large SOC
- Why crystal field splitting \sim a few 100 meV, comparable to SOC, behave as if they were absent??

$J_{\text{eff}} = 1/2$ Canted antiferromagnet

Perfect playground for magnetic x-ray because of L-edge being hard x-ray region

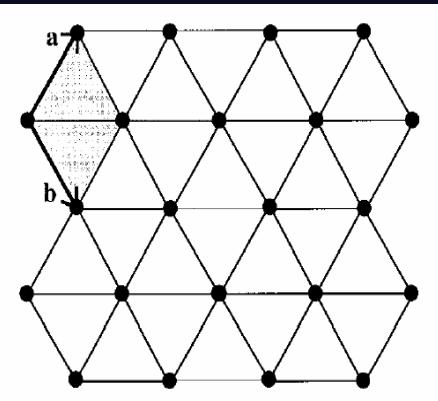
Mott transition within $J_{\text{eff}}=1/2$ band - increase dimensionality



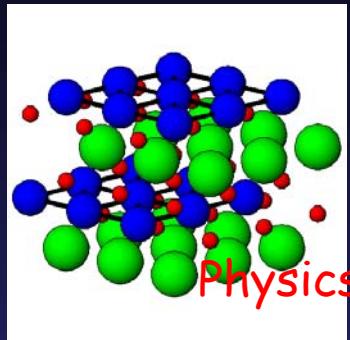
Metallic state can be described as a half filled $J_{\text{eff}}=1/2$ band?
 If so, any exotic transport due to strong SOC??
 Thin film without inversion symmetry??

Develop compounds with more exotic structure?

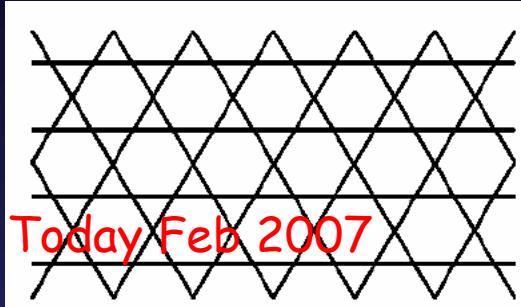
Geometrically Frustrated Lattices



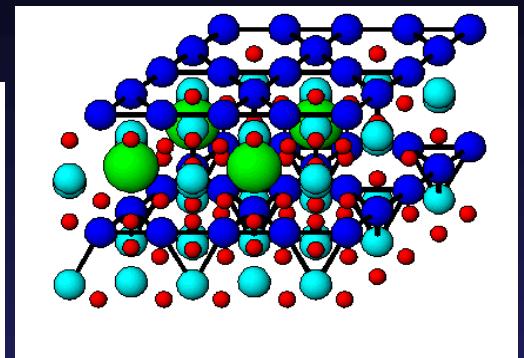
2D Triangular lattice



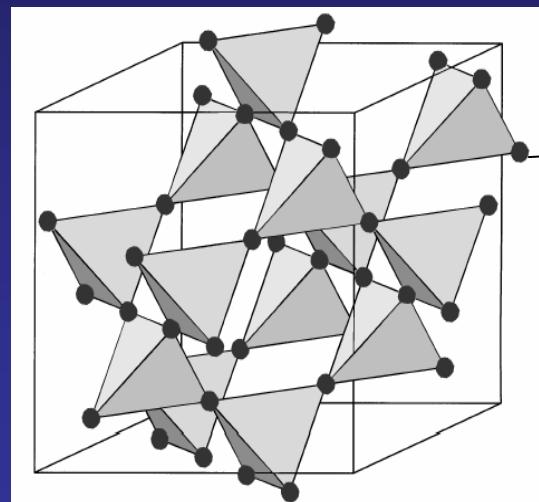
NiGa_2S_4 , $\text{BEDT-TTF}\text{Cu}(\text{NCS})_2$



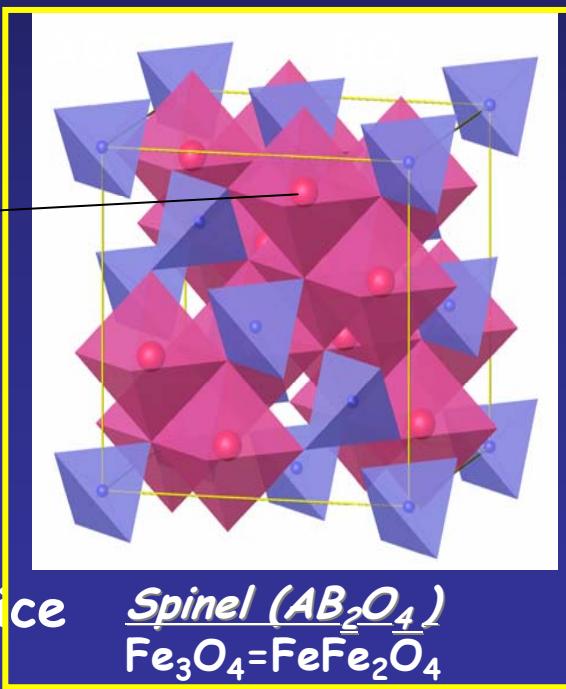
2D Kagome lattice



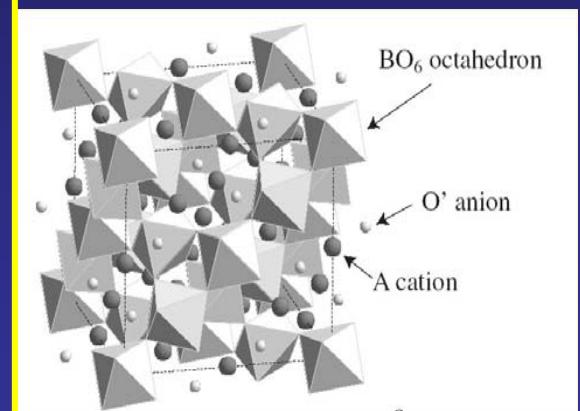
$\text{ZnCu}_3(\text{OH})_6\text{Cl}_2$
 $\text{SrCr}_9\text{Ga}_3\text{O}_{19}$



3D Pyrochlore lattice



Spinel (AB_2O_4)
 $\text{Fe}_3\text{O}_4 = \text{FeFe}_2\text{O}_4$



Pyrochlore($\text{A}_2\text{B}_2\text{O}_7$)
 $\text{Y}_2\text{Mo}_2\text{O}_7$

a wide variety of materials, most popular oxide structure

Geometrically Frustrated Lattices

search
&
discovery

Physics Today Feb 2007

New candidate emerges for a quantum spin liquid

A newly synthesized mineral is perhaps the most promising material yet to realize a hypothetical state with exotic behavior.

Nature sometimes surprises us with intriguing material behavior. Witness the fractional quantum Hall effect or high-temperature superconductivity. More rarely, theorists conceive of novel systems and then set out to look for them in nature. One such novel system is the spin liquid,¹ postulated in 1973 by Philip Anderson for an antiferro-

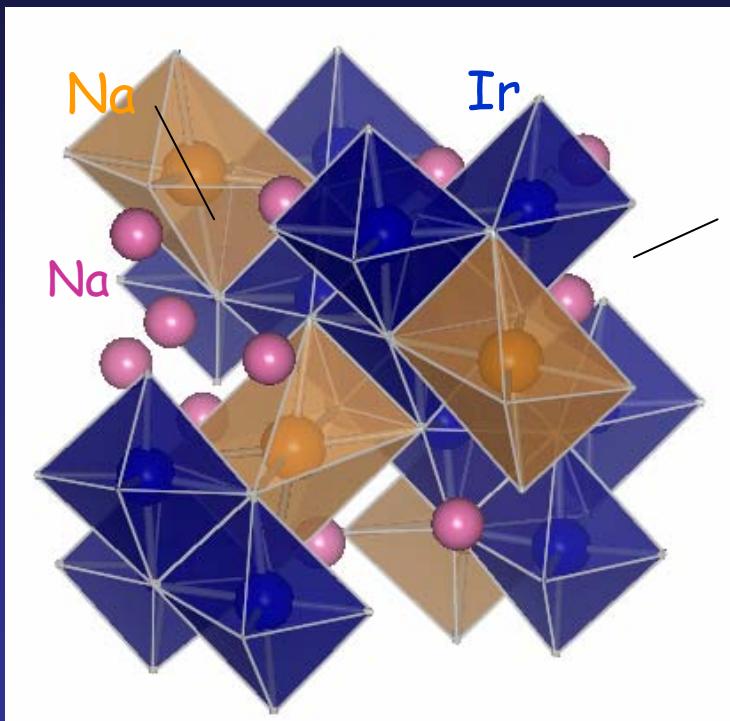
The discovery of high- T_c superconductivity renewed interest in spin liquids because copper oxide materials are antiferromagnetic insulators before they are doped to become superconductors. Anderson and others have used the concept of a resonating-valence-bond, which underlies the prediction of a spin-liquid state, to try to explain the

at MIT were able to synthesize a rare mineral known as herbertsmithite.³ (The small amounts found in nature are not sufficiently pure.) It's a member of the paratacamite family characterized by the formula $Zn_xCu_{4-x}(OH)_6Cl_2$, where $x = 1$ for herbertsmithite. As pictured in figure 2 and confirmed by crystallography, the spin- $1/2$ copper atoms

$\text{Na}_4\text{Ir}_3\text{O}_8$: Ir^{4+} oxide with hyper-kagome structure

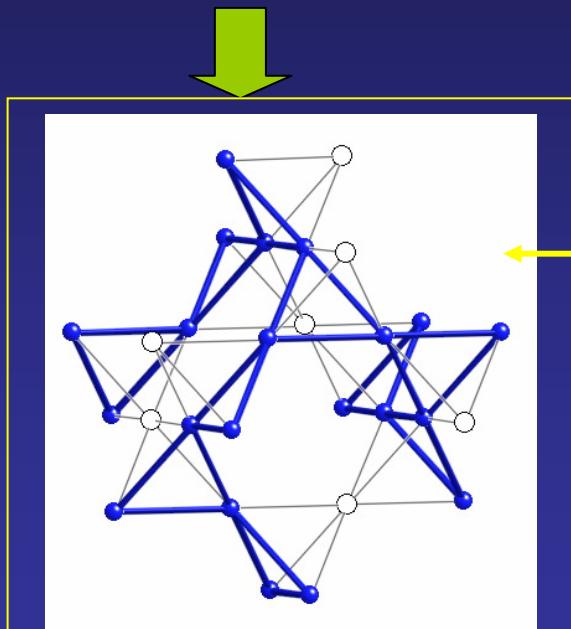
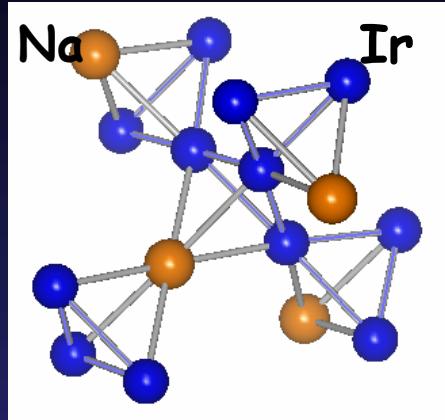
B-cation ordered spinel

$2 (\text{Na}_{3/2})_1 (\text{Ir}_{3/4}, \text{Na}_{1/4})_2 \text{O}_4$



$\text{Na}_4\text{Ir}_3\text{O}_8$: cubic $P4_132$, $a = 8.985 \text{ \AA}$

Isostructural to $\text{Na}_4\text{Sn}_3\text{O}_8$

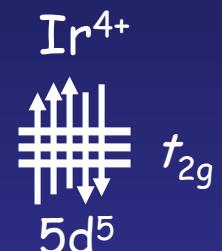


"hyper-Kagome"
frustration

B-site

$\frac{3}{4} : \text{Ir}, \frac{1}{4} : \text{Na}$

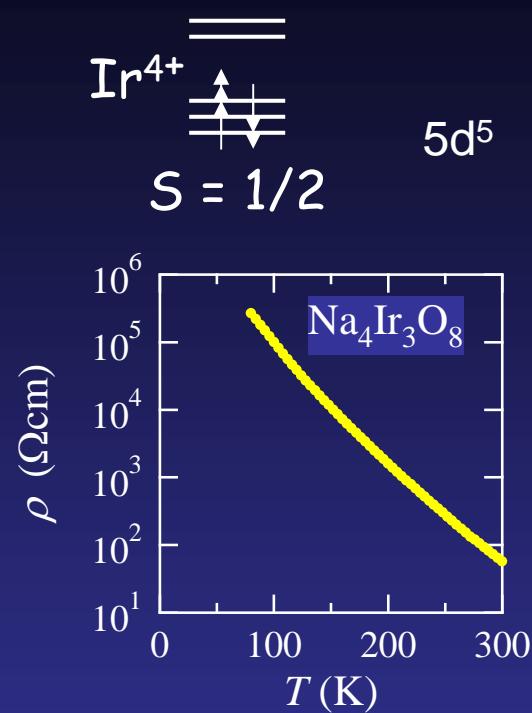
Cation ordering



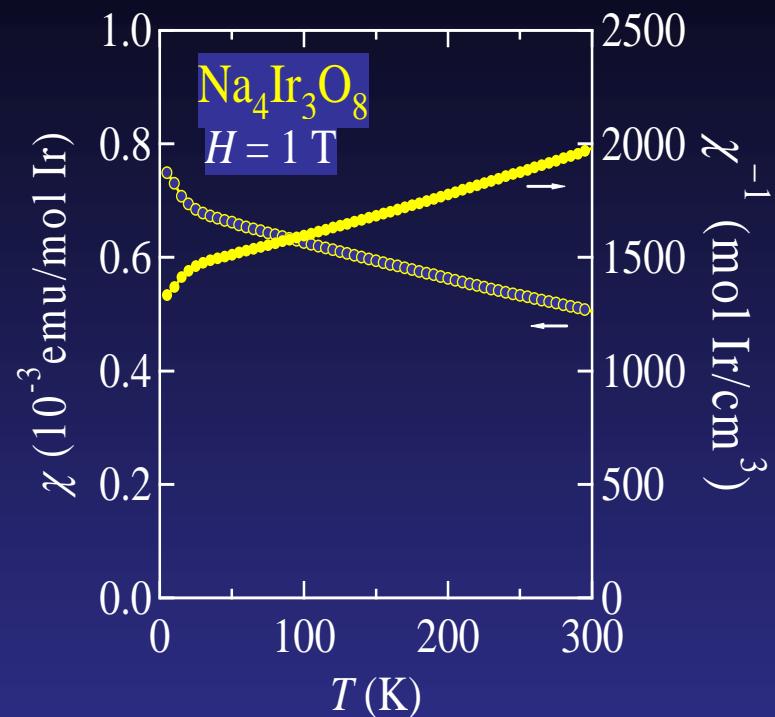
$S=1/2$
or
 $J=1/2 ??$

Locally more
distorted

$\text{Na}_4\text{Ir}_3\text{O}_8$ J or $S=1/2$ Mott Ins. with AF interaction



Mott insulator
 $J=1/2$ or $S=1/2$



$$\theta_W = -650 \text{ K} \quad \mu_{\text{eff}} = 1.96 \mu_B / \text{Ir}$$

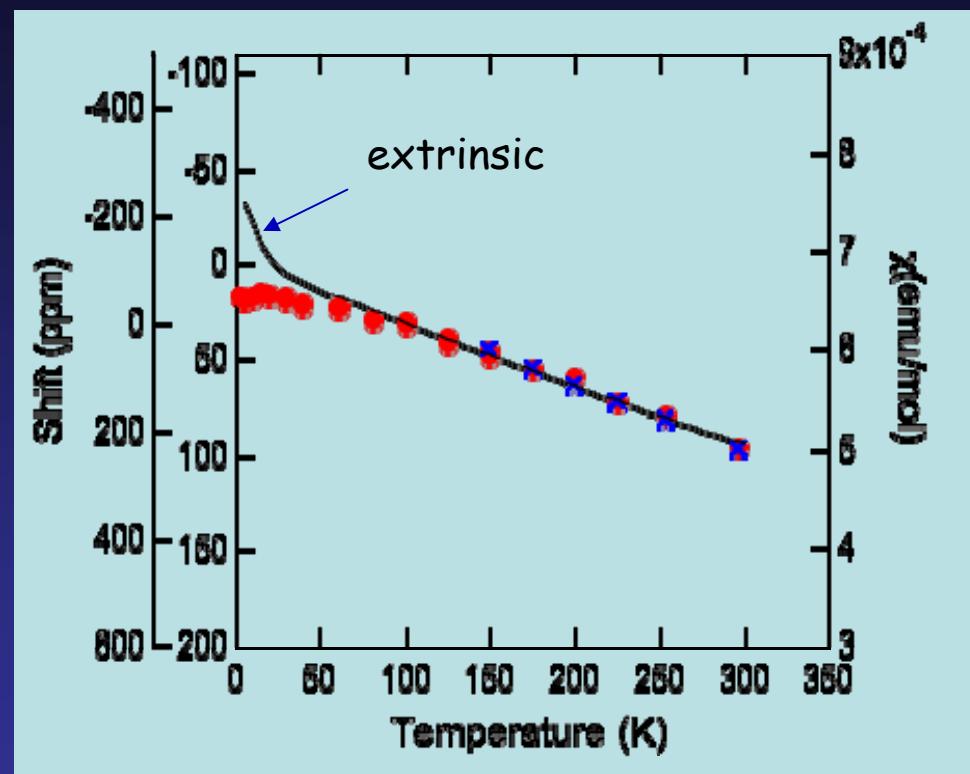
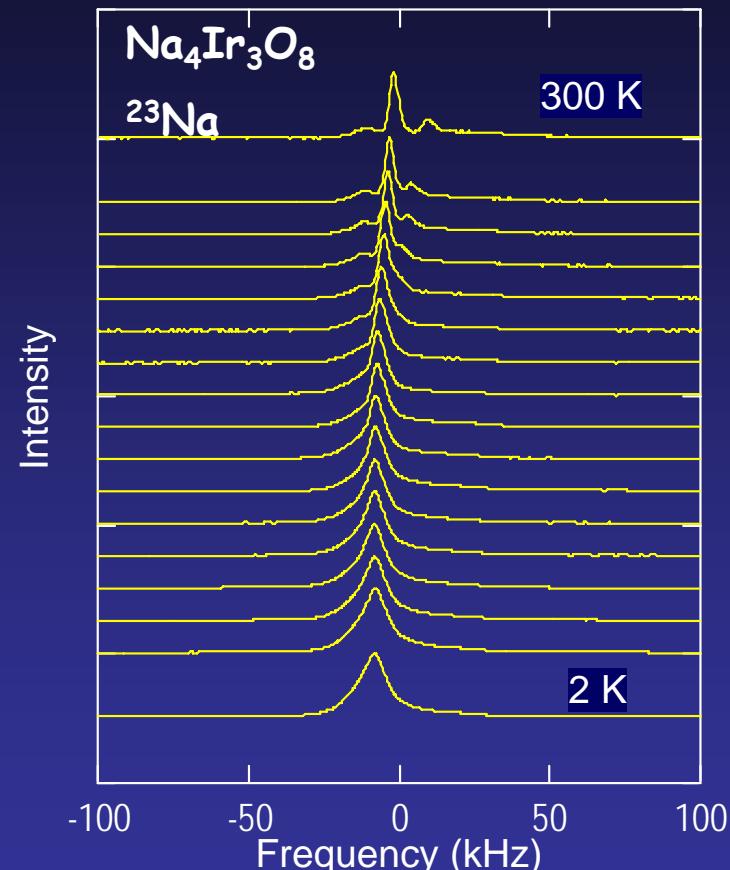
strong AF int. $(S = 1/2 \rightarrow 1.73 \mu_B)$

$J=650 \text{ K}$ estimated

No ordering in χ down to $1.8 \text{ K} \ll \theta_{cw} = 650 \text{ K}$ Strong frustration

No long range ordering detected by neutron down to 4 K

^{23}Na NMR indicates absence of magnetic ordering down to 2 K ($J=650$ K) - evidence for spin liquid

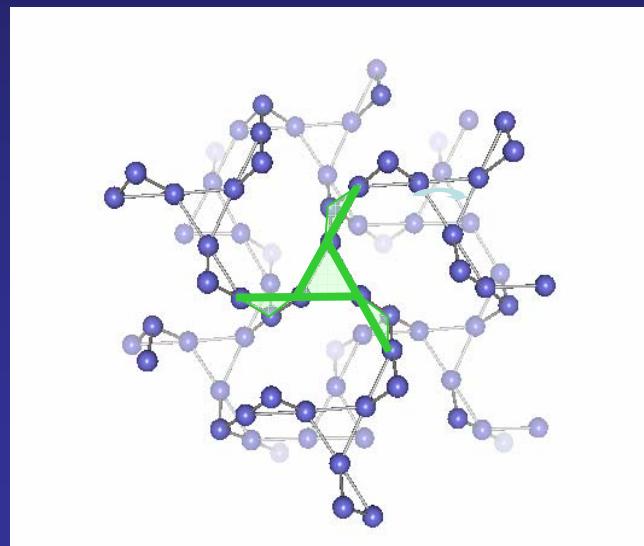
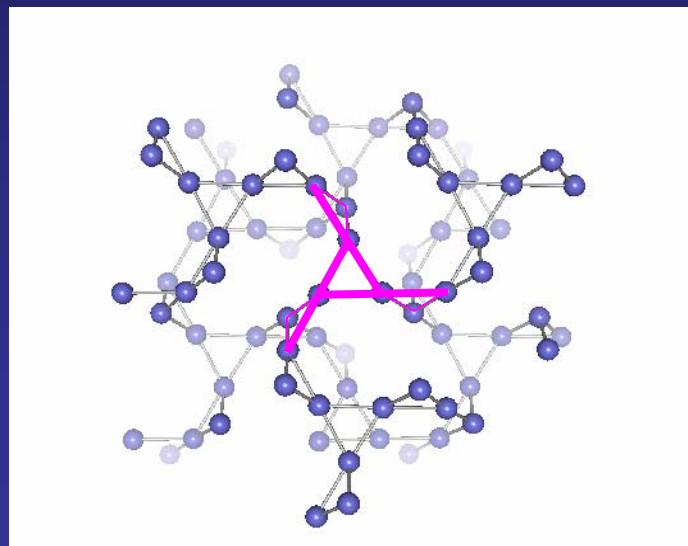
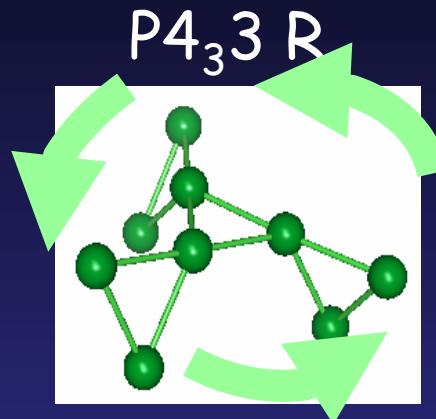
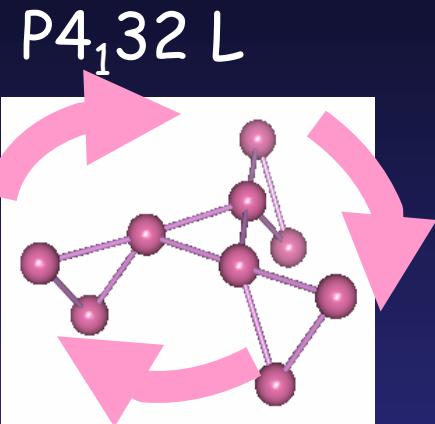


$\chi(T) \rightarrow$ constant at $T=0$ limit
gapless

Spin correlation
should be checked by x-ray!

Fujiyama, Kanoda

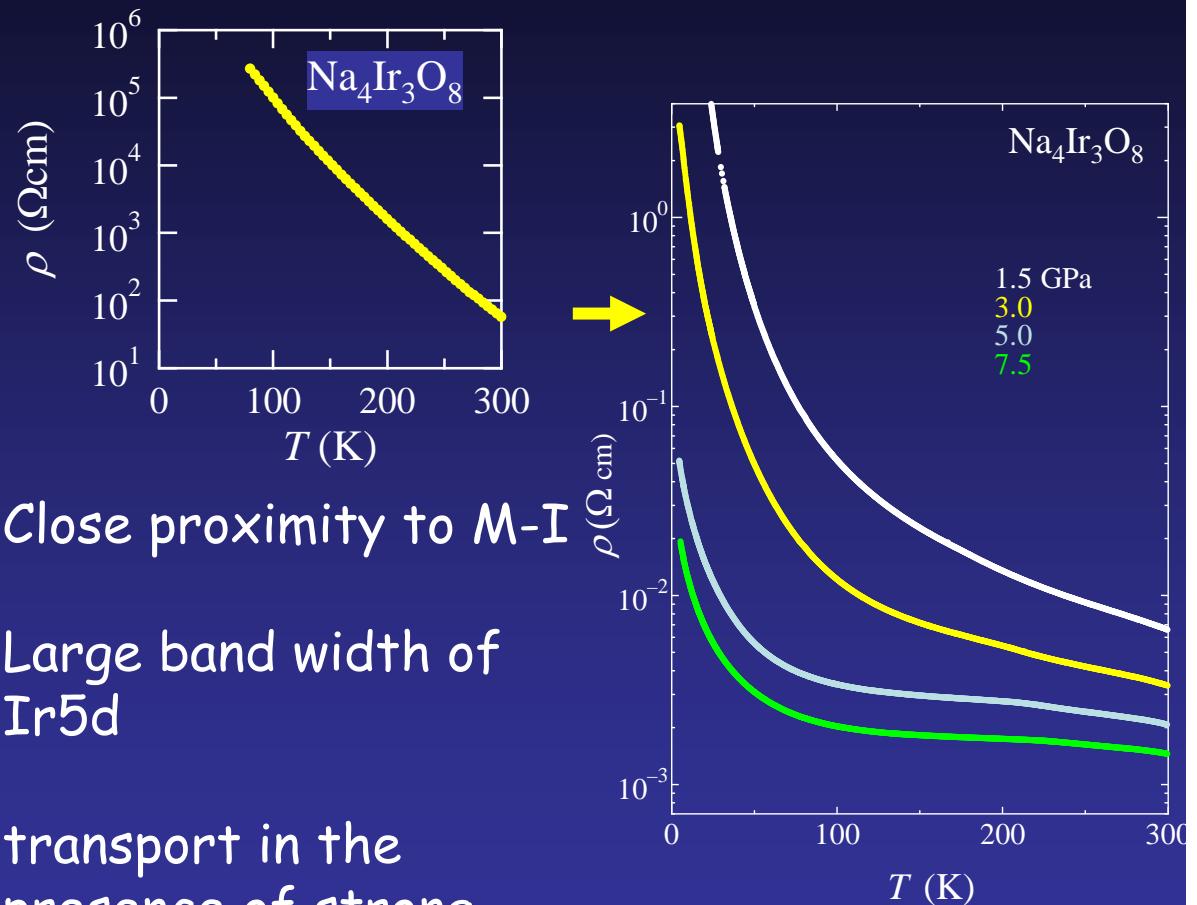
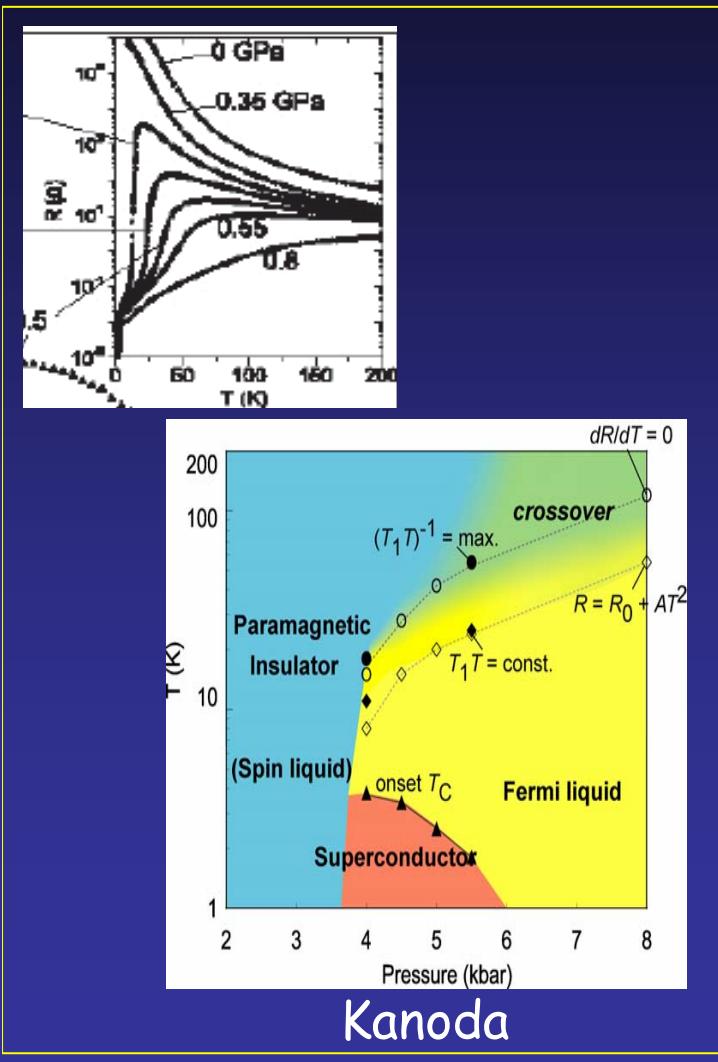
Hyperkagome (ordered spinel) lattice has “chirality”



Spin liquid formed on chiral lattice!
(+ strong spin orbit coupling)

Itinerancy and stabilization of spin liquid

common physics with BEDT salt (Kanoda) $S=1/2$ triangular?



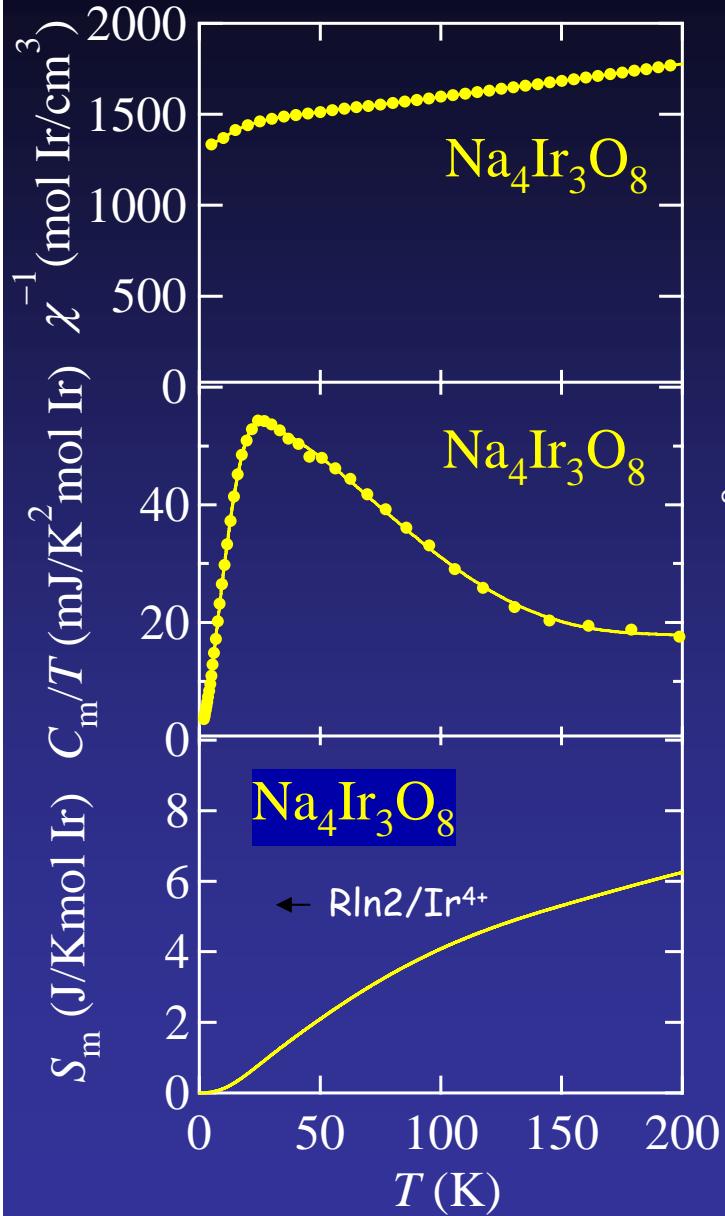
Close proximity to M-I

Large band width of
Ir5d

transport in the
presence of strong
SOC!!

Inversion symmetry
absent

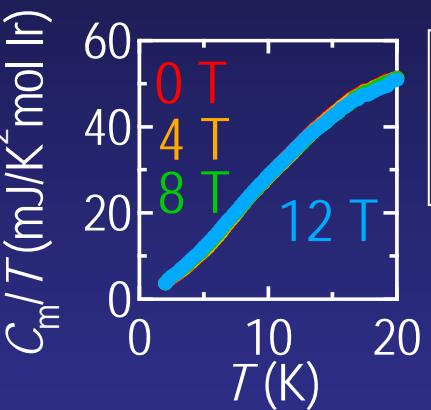
Spin excitation puzzle by comparing $C(T)$ and $\chi(T)$



$C_m(T) \propto T^2$ down to 2K
E linear DOS (gap node)

But

$\chi(T \rightarrow 0) = \text{finite}$
Not zero



$\left\langle \theta_{cw} \right\rangle = 650\text{K}$

Spin orbit coupling??
Leo Balents