



2022-7

Workshop on Theoretical Ecology and Global Change

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Food Web Network Structure: Data, Models & Inference

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Food Web Network Structure: Data, Models, and Inference

Jennifer A. Dunne

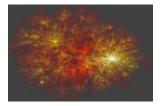
Santa Fe Institute
Pacific Ecoinformatics & Computational Ecology Lab

PEaCE Lab: www.foodwebs.org

Technological networks



Road maps



Internet connectivity

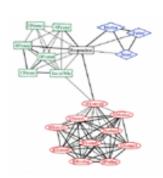


Circuit boards

Social networks

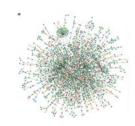


The Kevin Bacon game

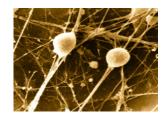


Support network for a homeless woman

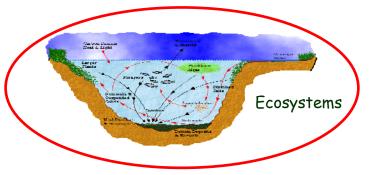
Biological networks



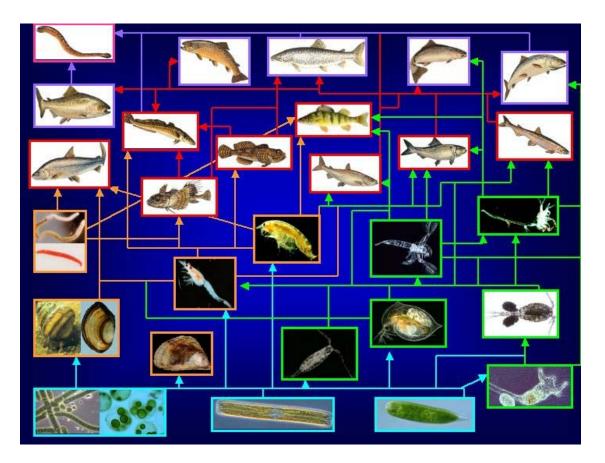
Protein networks



Neural networks



Ecological networks: food webs



Nodes = Species/Taxa

Edges = Trophic links

- \rightarrow Types of links
 - -predation
 - -herbivory
 - -detritivory
 - -parasitism
 - -cannibalism
- → Directed & Undirected

"Why is network anatomy so important to characterize? Because structure always affects function." (Strogatz 2001)

In any study of evolutionary ecology, food relations appear as one of the most important aspects of the system of animate nature. There is quite obviously much more to living communities than the raw dictum "eat or be eaten," but in order to understand the higher intricacies of any ecological system, it is most easy to start from this crudely simple point of view.

G. Evelyn Hutchinson: Address of the President to the American Society of Naturalists on Dec. 30, 1958. Published in 1959 as "Homage to Santa Rosalia, or Why are There so Many Kinds of Animal?" *The American Naturalist* 93: 145-159.

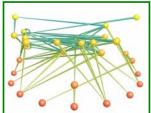
1950's Paradigm:

Complex communities MORE stable than simple communities



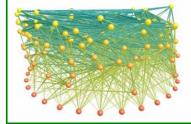
1970's Challenge:

Complex communities LESS stable than simple communities











Current & Future Research:

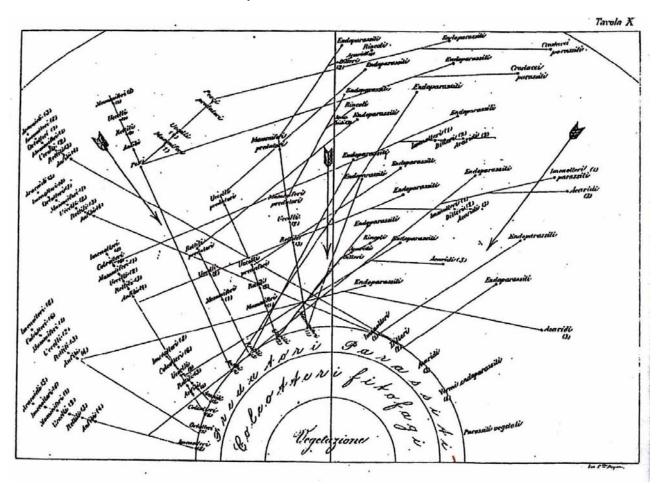
"Devious strategies" that promote stability and species coexistence

- 1. Food-Web Data
- 2. General Patterns Across Webs?
- 3. Network Structural Models
- 4. Confronting Models with Data
- 5. Case Study: Ancient Food Webs

1. Food-Web Data

Earliest known graph of feeding relations

Lorenzo Camerano, 1880

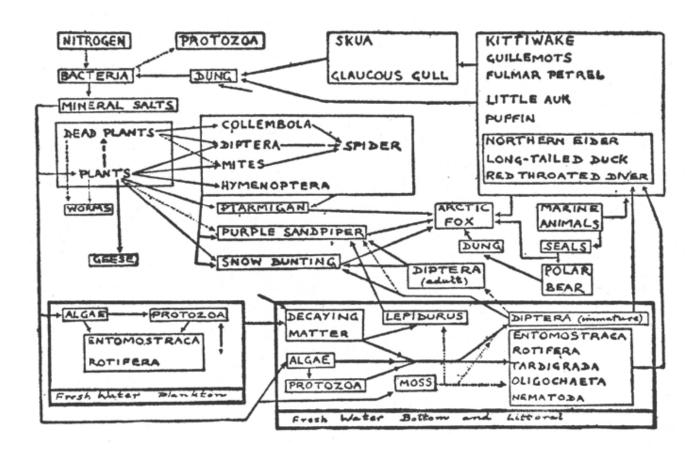


Network of 15 taxa:

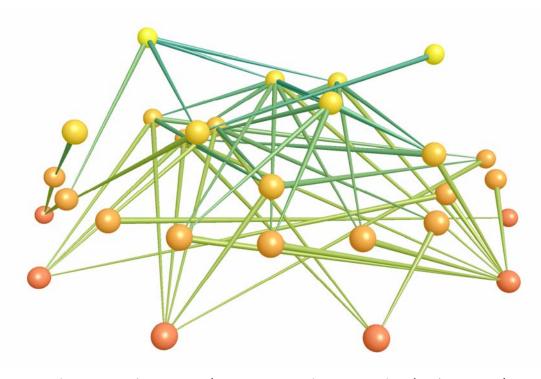
- -Amphibians
- -Reptiles
- -Fish
- -Birds
- -Mammals
- -Worms
- -Crustaceans
- -Spiders
- -Various insects
- -Plants
- -Parasitic plants

1920s-1980s: "First Generation" food-web data

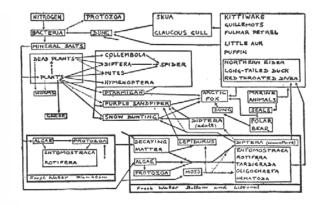
Summerhayes & Elton 1923: Food web of Bear Island



ECOWeB #22: Bear Island



1 bacteria, 4 autotrophs, 13 invertebrates, 6 birds, 4 mammals



S (# taxa) = 28 L (# links) = 59 L/S (links/species) = 2.1 C (connectance; L/S²) = 0.075 TL (mean trophic level) = 2.07

Directed Connectance (C): Proportion of possible links (S^2) that are realized (L)

Upper Triangular Connectance: C = L/[S(S-1)/2] *assumption of no cycles*

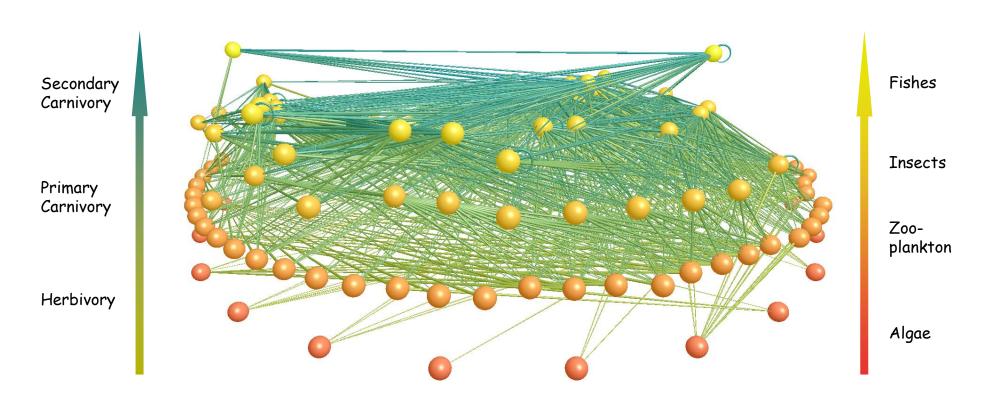
Data formats for binary webs

6 taxa with 12 links: 1 & 2 are basal; 3 eats 1,2,3; 4 eats 1,2; 5 eats 3,5,6; 6 eats 2,4,5,6

	Partial Matrix					Full Matrix						2 Column	3 Column
	3	4	5	6		1	2	3	4	5	6		1
1	1	1	0	0	1	0	0	1	1	0	0	3 1	3 1 3
2	1	1	0	1	2	0	0	1	1	0	1	3 2	4 1 2
3	1	0	1	0	3	0	0	1	0	1	0	3 3	5 3
_	0	0	0	1		0	0	0	0	0	1	4 1	5 → 5 6
4				'	4	Ľ	<u> </u>	L u	-		'	4 2	6 2
5	0	0	1	1	5	0	0	0	0	1	1	5 3	6 4 6
6	0	0	1	1	6	0	0	0	0	1	1	5 5	1
!					•								
									5 6				
	LOOPS/CYCLES:								6 2				
-3,4,5 have cannibalistic links (1 link cycles) -5 eats 6 and 6 eats 5 (2 link cycle)								6 4					
								6 5					
												6 6	

1990s-present: "Second Generation" food-web data

Food Web of Little Rock Lake, Wisconsin



S = 92, L = 997, L/S = 11, C = 0.12, TL = 2.40Original species = 181 (11 fishes, 110 invertebrates, 59 autotrophs, 1 detritus)

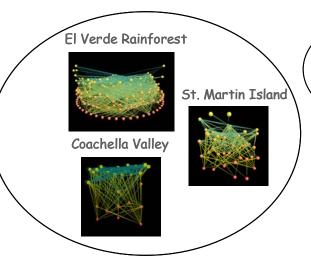
Examples of currently used datasets

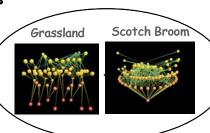
S ~ 25 to 180, C ~ 0.03 to 0.3

Lake & Pond Webs

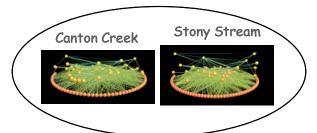


Terrestrial Webs

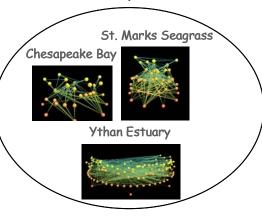




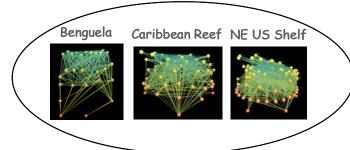
Stream Webs



Estuary Webs

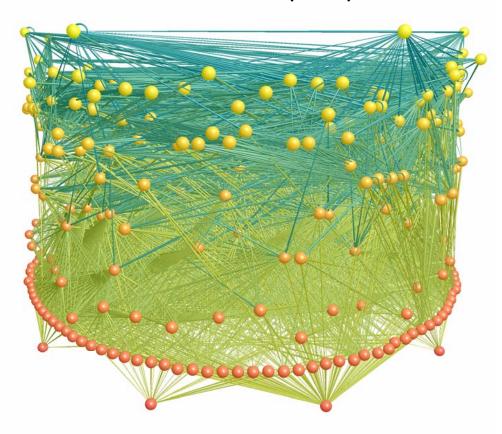


Marine Webs



2008 and beyond: "Third Generation" food-web data

Antarctic Weddell Sea Trophic Species Web



Data compiled by Ute Jacob

Highly & Evenly Resolved

Original species = 492

62 autotrophs

4 mixotrophs

345 invertebrates

48 ectotherm vertebrates

29 endotherm vertebrates

3 detritus

1 bacteria

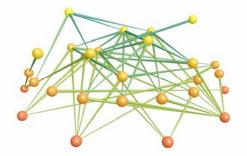
S = 290

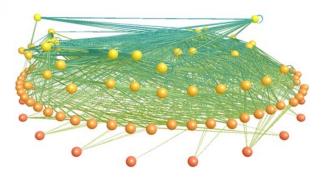
L = 7200

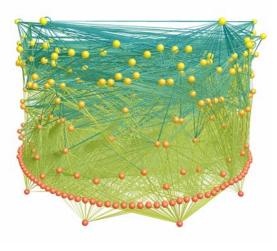
L/S = 24.8

C = 0.086

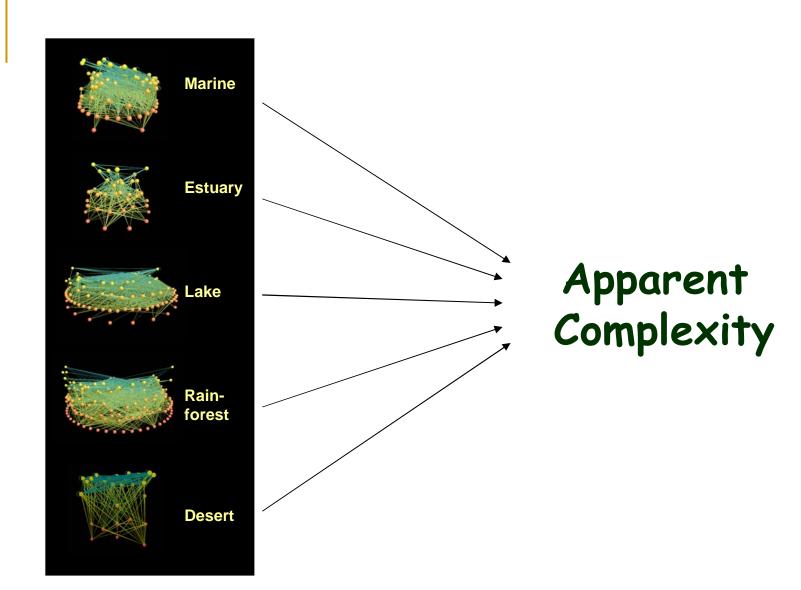
Mean TL = 3.79



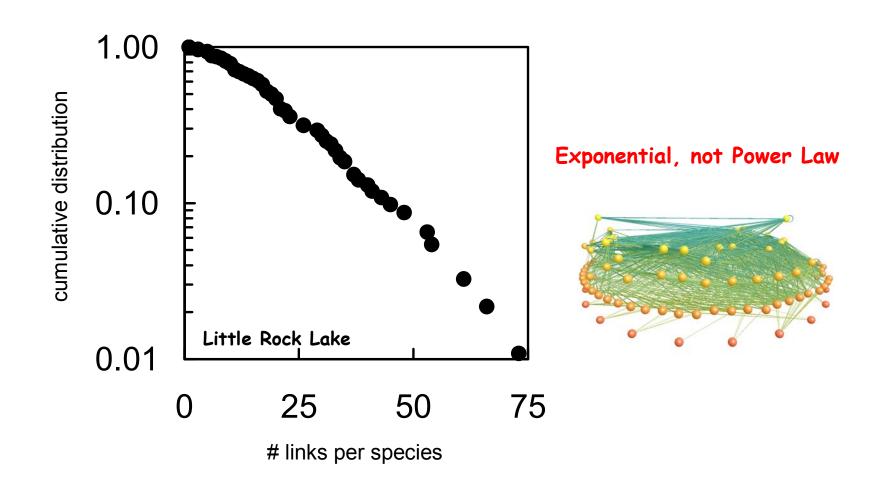




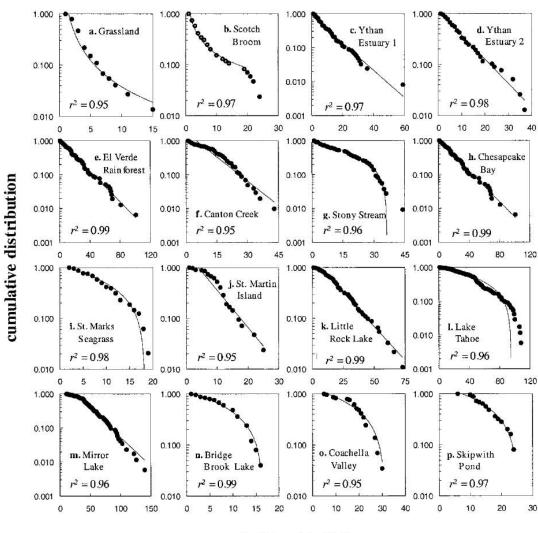
2. General Patterns Across Webs?



Beyond 5 and C: Link distributions



Raw data for 16 webs



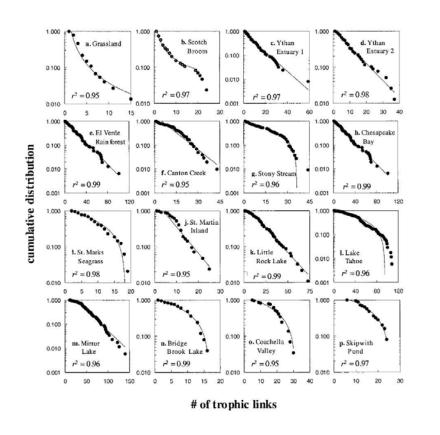
of trophic links

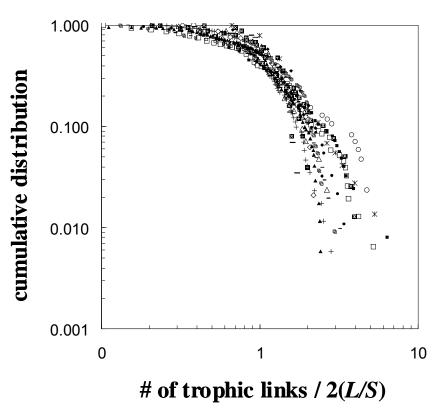
Apparent complexity

Underlying simplicity

Raw data for 16 webs

Normalized data for 16 webs





Other properties?

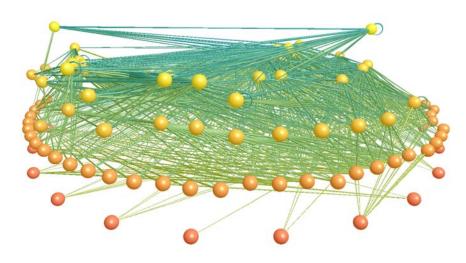
Types of Organisms:

% Top spp.	= 1.1
% Intermediate spp.	= 85.9
% Basal spp.	= 13.0
% Cannibal spp.	= 14.1
% Herbivore spp.	= 37.0
% Omnivore sp.	= 39.1
% Species in loops	= 26.1

Linkage Metrics:

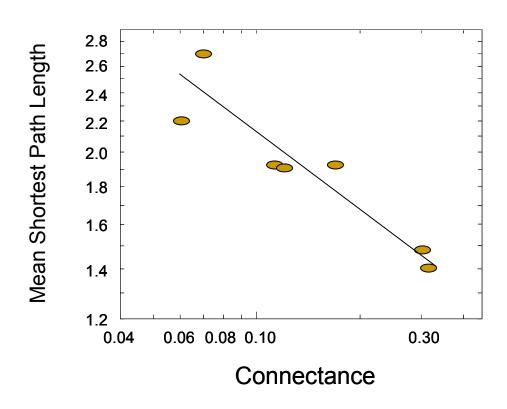
Mean food chain length	= 7.28
SD food chain length	= 1.31
Log number of chains	= 5.75
Mean trophic level	= 2.40
Mean max. trophic simil.	= 0.74
SD vulnerability (#pred.)	= 0.60
SD generality (#prey)	= 1.42
SD links (#total links)	= 0.71
Mean shortest path	= 1.91
Clustering coefficient	= 0.18
-	

Little Rock Lake



Scale dependence with 5 & L

Data from 7 Food Webs



3. Network Structure Models

Empirical regularities provide modeling opportunities

Simple, stochastic, single-dimensional models of food-web structure

Explain "the phenomenology of observed food web structure, using a minimum of hypotheses" (Cohen & Newman 1985)

- 1) Two Parameters: S (species richness) and C (connectance)
- 2) Assign each species i a uniform random "niche value" n_i along a "niche dimension" of 0 to 1 (i.e., $0 \le n_i \le 1$)
- 3) Simple rules distribute links from consumers (predators) to resources (prey)

Cascade model (Cohen & Newman 1985)

Link distribution rules:

 \rightarrow Each species i has probability P = 2CS/(S-1) of consuming resource species j with lower niche values ($n_j < n_i$)

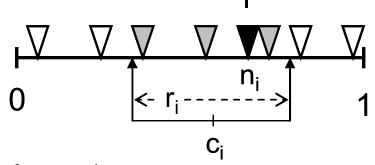
Effect of link distribution rules:

→ Creates strict hierarchy of feeding (cannibalism & longer cycles prohibited)

Niche model (Williams & Martinez 2000)

Link distribution rules:

- \rightarrow Species i is assigned a feeding range r_i
 - · drawn from beta distribution



- \rightarrow The center c_i of the feeding range r_i is a uniform random number between $r_i/2$ and min $(n_i, 1-r_i/2)$
 - c; < n;
 - · r_i placed entirely on the niche dimension
 - · consumers' diets biased towards resources with lower ni
- \rightarrow Species i feeds on all species that fall within the feeding range r_i

Effect of link distribution rules:

- → The feeding hierarchy is slightly relaxed (cycles can occur)
- → Food webs are "interval" (species feed on contiguous sets of species along a single dimension)
- → The beta distribution generates exponential-type degree distributions

Nested hierarchy model (Cattin et al. 2004)

Link distribution rules:

- → Each consumer i's number of resource species j assigned using beta distribution
- \rightarrow Resources j chosen randomly from species with $n_j < n_i$ until all links are assigned or a j is obtained which already has at least one consumer
- → Species i links to j and joins j's "consumer group"
- → Subsequent j chosen randomly from the set of j of this group until all of i's links are assigned or all j of the consumer group have been chosen
- $\boldsymbol{\rightarrow}$ Subsequent j chosen from remaining species with no consumers and \boldsymbol{n}_j < \boldsymbol{n}_i
- \rightarrow Subsequent j chosen randomly from species with $n_j \ge n_i$

Effect of link distribution rules:

- → Rules meant to mimic phylogenetic effects
- → Food webs are not "interval"
- → Hierarchy relaxed in principle, in practice rarely violated

Generalized cascade model (Stouffer et al. 2005)

Link distribution rules:

 \rightarrow Species i consumes resources species j with $n_j \le n_i$ with a probability equal to a random number with mean 2C drawn from a beta distribution

Effect of link distribution rules:

→ Create a simple, non-interval, beta-distributed hierarchical model that allows cannibalism

'Relaxed' niche models

Link distribution rules:

- → Same as niche model, but allow for gaps in a slightly expanded feeding range or for links external to feeding range
 - 1. Generalized niche model (Stouffer et al. 2005)
 - 2. Relaxed niche model (Williams & Martinez 2008)
 - 3. Minimum potential niche model (Allesina et al. 2008)

Effect of link distribution rules:

→ Relax the intervality constraint of the niche model

Random models

Link distribution rules:

- → Distribute links randomly
 - 1. Random model (Williams & Martinez 2000): P = C
 - 2. Random beta model (Dunne et al. 2008): beta distribution

Effect of link distribution rules:

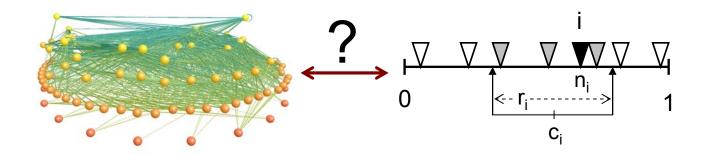
- → Minimal constraints
 - 1. Random: no hierarchy, no intervality, no beta distribution
 - 2. Random beta: no hierarchy, no intervality

Summary of model constraints

				hierarchical feeding	
Model	beta distribution	intervality	hierarchy	exceptions	
Random	no	no	no		
Random beta	yes	no	no		
Cascade	no	no	yes	no	
Generalized cascade	yes	no	yes	$n_j = n_i$	
Niche	yes	yes	yes	$n_j \ge n_i$	
Relaxed niche	yes	no*	yes	$n_j \ge n_i$	
Nested hierarchy	yes	no	yes	$n_j \ge n_i^*$	

4. Confronting Models with Data

Inference methods



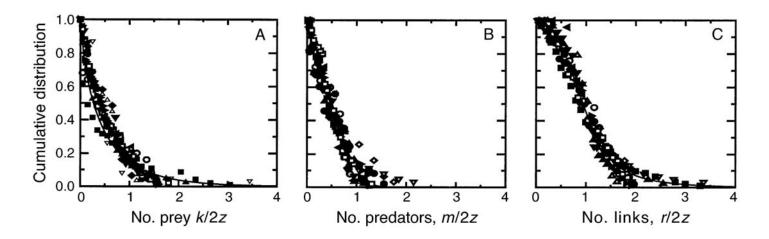
- 1. Degree distribution
- 2. Suite of properties
- 3. Likelihood

1) Degree distribution (Camacho et al. 2002, Stouffer et al. 2005)

Data Normalization & Analytical Analyses

TABLE 2. Summary of the analytical expressions obtained for the niche model in the limits $S \gg 1$ and $C \ll 1$. These properties also hold for the nested-hierarchy and generalized cascade models in the same limits.

Property	Expression
Distribution of number of prey	$p_{\text{prev}}(k) = (1/2z)E_1(k/2z)$
Distribution of number of predators	$p_{\text{pred}}(m) = (1/2z)\gamma(m+1, 2z)$
Distribution of number of links	$p_{\text{links}}(r) = \int_{0}^{r} p_{\text{prey}}(t) p_{\text{pred}}(r-t) dt$ = $1/(2z)^{2} \int_{0}^{r} E_{1}(t/2z) \gamma(r-t+1, 2z) dt$
Fraction of top species	$T=(1-e^{-2z})/2z$
Fraction of basal species	$B = \ln(1 + 2z)/2z$
Standard deviation of the vulnerability	$\sigma_V = \sqrt{1/3 + 1/z}$
Standard deviation of the generality	$\sigma_G = \sqrt{8/(3 + 6C) - 1}$



'Degree distribution' summary

				hierarchic	al feeding
	Model	beta distribution	intervality	hierarchy	exceptions
	Random	no	no	no	
	Random beta	yes	no	no	
	Cascade	110	no	yes	no
$\sqrt{}$	Generalized cascade	yes	no	yes	$n_j = n_i$
J	Niche	yes	yes	yes	$n_j \ge n_i$
	Relaxed niche	yes	no*	yes	$n_j \ge n_i$
J	Nested hierarchy	yes	no	yes	$n_j \ge n_i$ *

2) Suite of properties (Williams & Martinez 2000)

Beyond degree distribution...

- · <u>Assess</u>: a suite of single-number structural properties
- <u>Generate:</u> sets of 1000 model webs with same <u>5</u> & <u>C</u> as empirical webs
- Evaluate: how well does the model perform?
 - → normalized model error = (empirical value model mean) / (model median value value at upper or lower 95% boundary of model distr.)
 - \rightarrow MEs \leq |1| show 'good' fit of model mean to empirical value

Types of Organisms:

- % Top spp.
- % Intermediate spp.
- % Basal spp.
- % Cannibal spp.
- % Herbivore spp.
- % Omnivore spp.
- % Species in loops

Linkage Metrics:

Mean food chain length SD food chain length Log number of chains

Mean trophic level

Mean max. trophic sim.

SD vulnerability (#pred.)

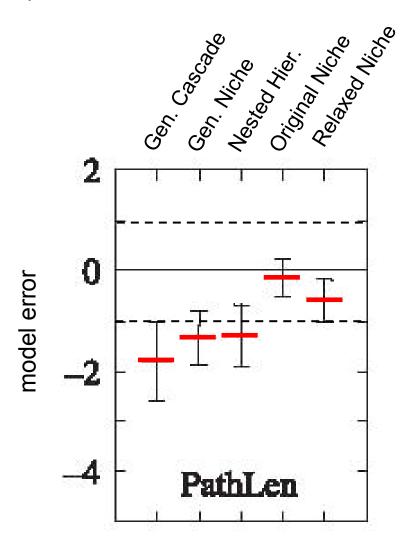
SD generality (#prey)

SD links (#total links)

Mean shortest path

Clustering coefficient

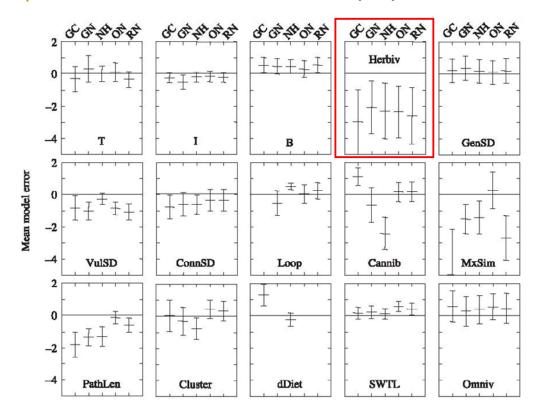
Recent test (Williams & Martinez 2008: 10 webs, 5 models)



Path Length:

- → The average of the shortest chain of links between each pair of species.
- → Most models significantly underestimate path length.

10 webs, 5 models, 15 properties



Summary Stats

	ME mean	ME SD	% ME
	modii	30	> 1
Gen Cas	-0.57	2.37	46%
Gen Nic	-0.50	1.40	39%
Nes Hier	-0.53	1.45	26%
Niche	-0.10	1.32	25 %
Rel Nic	-0.40	1.58	33%

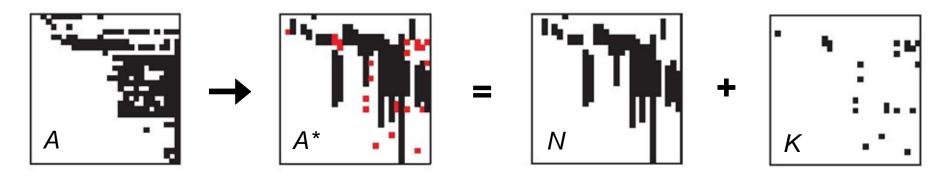
- 1) Mean ME ≤ |1| for all models: effect of hierarchy + beta distribution constraints.
- 2) Niche: lowest ME mean & SD, most properties closest to 0, fewest properties >|1|.
- 3) All models drastically underestimate herbivory/detritivory.

'Suite of properties' summary

•				hierarchical feeding		
	Model	beta distribution	intervality	hierarchy	exceptions	
	Random	no	no	no		
•	Random beta	yes	no	no		
·	Cascade	110	no	yes	no	
J	Generalized cascade	yes	no	yes	$n_j = n_i$	
$\sqrt{}$	Niche	yes	yes	yes	$n_j \ge n_i$	
J	Relaxed niche	yes	no*	yes	$n_j \ge n_i$	
J	Nested hierarchy	yes	no	yes	$n_j \ge n_i$ *	

3) Likelihood: topology as a whole (Allesina et al. 2008)

- 1) 3 models (Cascade, Niche, Nested hierarchy) and 10 datasets considered.
- 2) All empirical webs have links that violate assumptions of each model.
- 3) Use a genetic algorithm to order species in datasets to minimize violating links for each model (Matrix $A \rightarrow A^*$).
- 4) Split datasets into links compatible with the model of interest (Matrix N), and links incompatible with the model (Matrix K).



- 5) Calculate probability of obtaining Matrix N with the model and Matrix K with a random graph (this introduces a 3^{rd} parameter to models beyond S and C).
- 6) Product of those probabilities gives a "total likelihood" (Tot L) of that model for that dataset.

Alternate model: The minimum potential niche model

Link distribution rules:

→ Same as niche model, but define a feeding range where the consumer has a probability of <1 of feeding on species in that range.

Effect of link distribution rules:

- → Relax the intervality constraint of the niche model
- → No empirical links are incompatible with the models
- \rightarrow Introduces an extra model parameter. However, its total likelihood is still comparable to other models, which now also include a 3^{rd} parameter to reflect the random graph component.

S = # taxa; L = # links; / = # irreproducible links L(K) = log-likelihood of obtaining / with random graph

Tot L = total log-likelihood for the model

				Cascade			Niche			Nested hiera	archy	Min. po	tential
Food web	S	L	\overline{I}	L(K)	Tot \mathcal{L}	1	L(K)	Tot \mathcal{L}	1	L(K)	Tot $\mathcal L$	Tot $\mathcal L$	f
Benguela	29	203	12	-62.91	-343.62	23	-105.46	-234.22	1	-7.73	-349.39	-213.52	0.170
Bridge	25	107	4	-24.19	-217.16	1	-7.44	-94.42	1	-7.44	-162.32	-92.18	0.013
Broom	85	223	4	-33.99	-857.42	36	-226.77	-737.56				-626.54	0.336
Chesapeake	31	68	1	-7.87	-199.59	10	-55.60	-166.84	3	-20.30	-200.15	-145.11	0.314
Coach	29	262	41	-163.85	-443.67	37	-151.75	-296.76	7	-40.49	-381.57	-296.10	0.240
Grass	61	97	0	0	-379.31	10	-69.18	-327.08	13	-86.52	-437.81	-294.94	0.243
Reef	50	556	59	-279.34	-1106.54	196	-687.11	-970.28	22	-126.03	-1053.50	-934.71	0.416
Skip	25	197	12	-59.32	-259.02	22	-95.24	-191.11	5	-29.12	-254.74	-169.67	0.142
St. Marks	48	221	3	-22.93	-576.69	72	-320.40	-546.48	18	-105.27	-634.04	-504.49	0.554
St. Martin	42	205	0	0	-472.58	52	-234.48	-421.53	10	-61.70	-531.55	-388.06	0.443

Minimum potential (relaxed) niche model performs best:

- → no irreproducible links (Niche model has most)
- \rightarrow slightly better Tot \angle than the Niche model on every dataset
- \rightarrow much better Tot \angle than Nested hierarchy or Cascade models

'Likelihood' summary

				hierarchical feeding		
	Model	beta distribution	intervality	hierarchy	exceptions	
	Random	no	no	no		
	Random beta	yes	no	no		
	Cascade	110	110	yes	no	
	Generalized cascade	yes	no	yes	$n_j = n_i$	
١,	Niche	yes	yes	yes	$n_j \ge n_i$	
J	Relaxed niche	yes	no*	yes	$n_j \ge n_i$	
	Nested hierarchy	yes	no	yes	$n_j \ge n_i^*$	

Pros and cons of inference approaches

1) Degree Distributions

Pros: Characterizes a central tendency of structure

Cons: Very minimal notion of "structure"

2) Suite of Properties

Pros: Allows assessment of details of how/why structure differs

Cons: Properties are not independent, making overall evaluation problematic

3) Likelihood

Pros: Based on full structure of network

Cons: How to understand details of how/why structure differs?

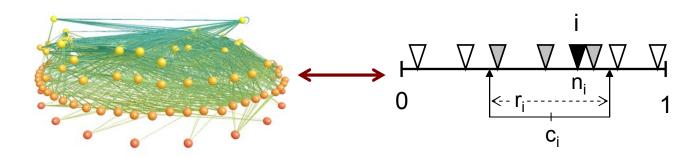
How to interpret magnitude of differences in Tot L?

Together, the 3 approaches suggest the following:

- → The Niche and Relaxed niche models fit data much better than Random or Cascade models, somewhat better than other beta-distributed models.
- → The combination of beta distribution, hierarchical feeding, and intervality or near-intervality constraints performs best.

Summary

- 'Complex' food webs aren't so complex: underlying common scale-dependent structure.
- The Niche model and its recent spin-offs (but not Random or Cascade models) do a good job of predicting many aspects of fine-grained structure of empirical food webs.
 - → Hierarchical Feeding + Beta Distribution
- The Niche and Relaxed niche models fit data slightly better than non-interval variants (Nested hierarchy, Generalized cascade).
 - → Intervality + Cycles
- Common structure across habitat and deep time suggests strong constraints on the organization of species interactions in communities.
 - → Ecology, Evolution, Energetics



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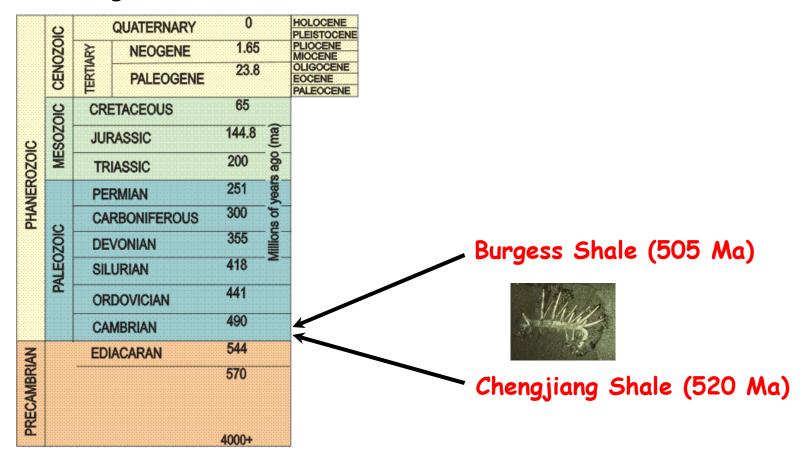
5. Case Study: Ancient Food Webs

Are species interactions structured differently in ancient versus modern ecosystems?

(can we even put convincing data together?)

- Have food webs become more complex since the beginning of the Phanerozoic?
- What do differences/similarities in ecological network structure suggest about fundamental constraints on species interactions?
 - Does food-web complexity or structure change across extinction boundaries?
 - Do major evolutionary innovations ramify throughout food webs?
 - How does community structure respond to major environmental perturbations?

Geologic Time Scale



Lagerstätten: Fossil assemblages with exceptional soft-tissue preservation

Wiwaxia

Burgess Shale Biota



Waptia



Marella



Hallucigenia



Opabinia



Pikaia



Ottoia



Anomalocaris



Ollenoides



Lines of evidence for feeding links

Every link is a hypothesis based on inferences

Gut contents

Body size

By analogy with associated taxa

Damage patterns

Environmental deposition

Functional morphology

Stable isotopes

Trace fossils

Coprolites

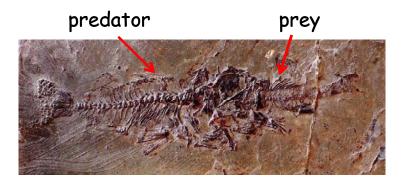
The occasional smoking gun...

Certainty:

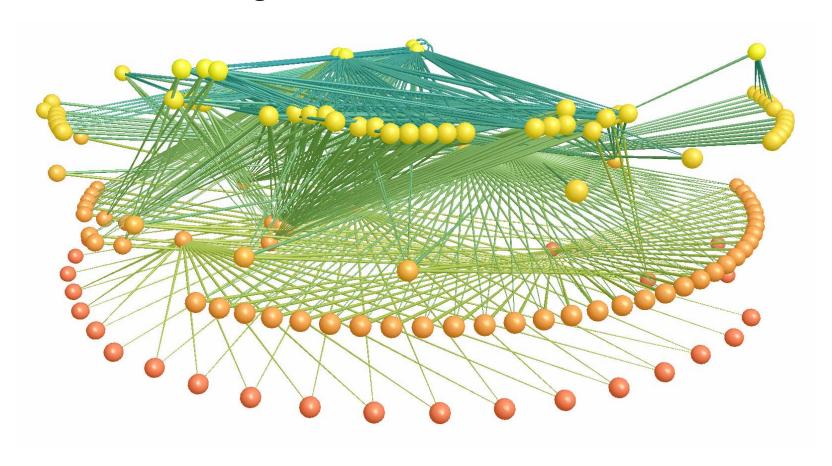
1 = possible

2 = probable

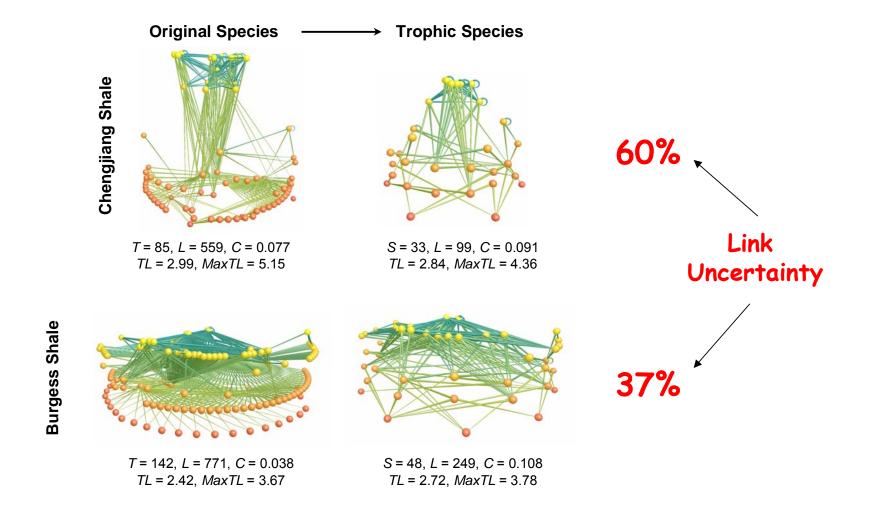
3 = certain

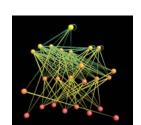


Burgess Shale Food Web

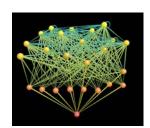


5 = 85, *L* = 559, *L/5* = 6.6, *C* = 0.08, *TL* = 2.99

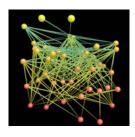




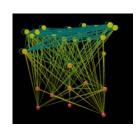
Bridge Brook (lake)



Skipwith (pond)



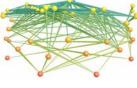
St. Martin (terrestrial)



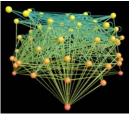
Coachella Valley (terrestrial)



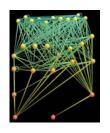
Chengjiang (marine)



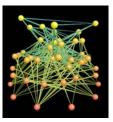
Burgess (marine)



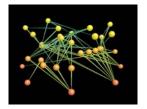
Caribbean Reef (marine)



Benguela (marine)



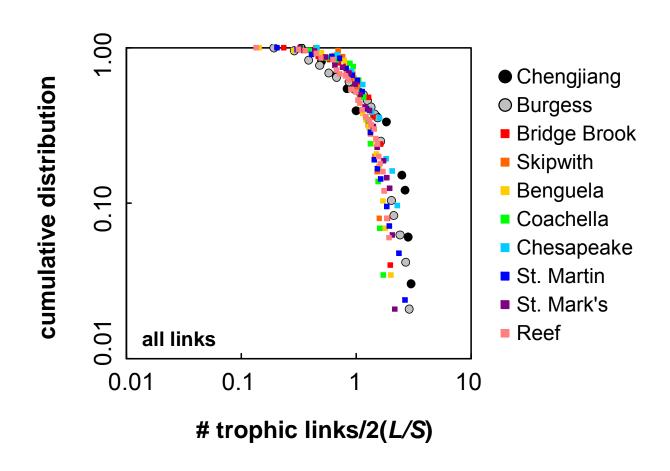
St. Marks (estuary)



Chesapeake Bay (estuary)

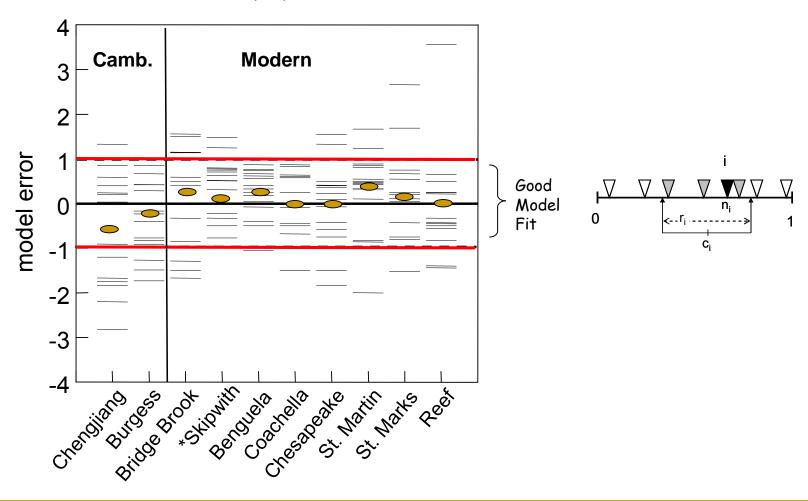


Normalized link distributions



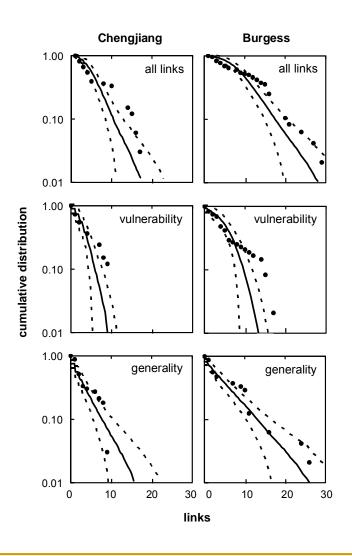
Niche model errors

Model Errors for 17 properties for 10 food webs



Results generally robust to removal of uncertain links

A few potentially meaningful differences?



- → Higher LinkSD in both Cambrian webs

 Reflects higher vulnerability of most vulnerable taxa to predation in early Paleozoic webs
- → Longer Path lengths in Chengjiang web

 Reflects lower integration among taxa in earliest web
- → More taxa in Loops in Chengjiang web

 Reflects less hierarchical trophic organization in earliest web

Summary (Dunne et al. 2008)

- Detailed species interaction data compiled for ancient ecosystems from the early Phanerozoic (> 500 MA).
- The structure of Cambrian & modern webs is very similar.
- The niche model predicts the structure of all the webs well.
- Results are robust to removal of uncertain or random links.
- The few differences in Cambrian structure may reflect a rapid transition to more stable, constrained, hierarchical, integrated, trophic organization following the Cambrian "explosion" of diversity, body plans, and trophic roles.
- Shared architecture across habitats and deep time is suggestive of strong constraints on trophic organization. (thermodynamic, dynamical stability, evolutionary?)



