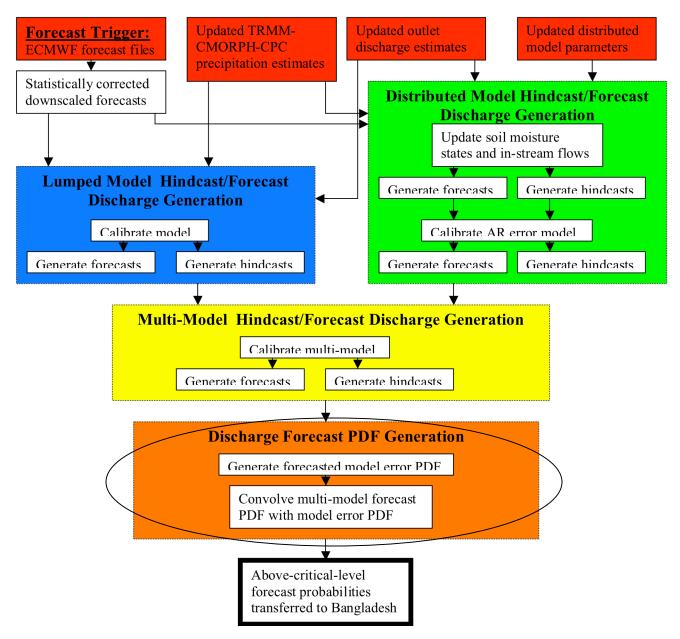
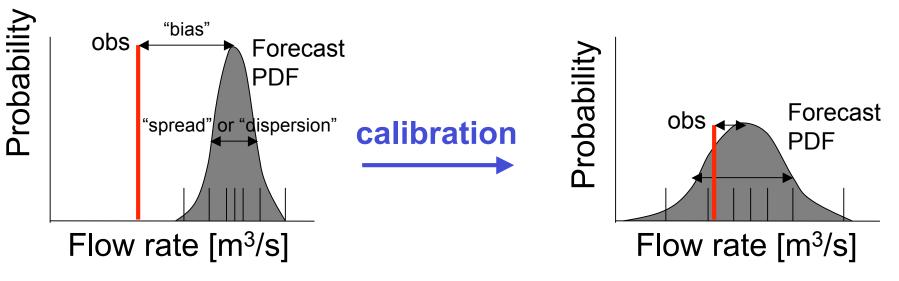
Technological Improvements in Flood Forecasting

Thomas Hopson National Center for Atmospheric Research (NCAR)

Daily Operational Flood Forecasting Sequence



Final flood forecast "calibration" or "post-processing"



Post-processing has corrected:

- the "on average" bias
- as well as under-representation of the 2nd moment of the empirical forecast PDF (i.e. corrected its "dispersion" or "spread")

Our approach:

- under-utilized "quantile regression" approach
- probability distribution function "means what it says"
- daily variation in the ensemble dispersion directly relate to changes in forecast skill

Significance of Weather Forecast Uncertainty Discharge Forecasts

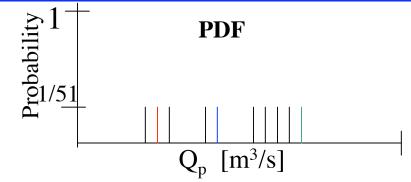
Discharge Forecasts

Precipitation Forecasts

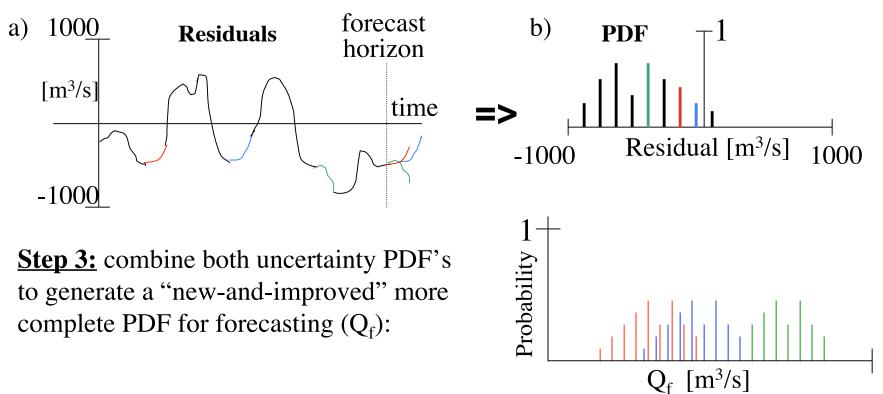
1-day Discharge Forecasts 4-day Discharge Forecasts Observed (black), 1-day Forecast (colors) Observed (black), 4-day Forecast (colors) 100 100 day 1 day 1 4 dav 4 day Catchment-Avg Precip [mm/day] 40 atchment-Avg Precip [mm/day] 40 80 80 30 30 Q [10³ m³/s] 60 60 20 2041 20 20 0 0 7/13 7/28 8/12 8/27 9/11 9/2610/11 6/16 6/19 7/16 7/31 8/15 8/30 9/14 9/2910/14 May Jun Jul Sep Oct May Jun Jul Aug Sep Oct Aug Month Month Observed (black), 7-day Forecast (colors) Observed (black), 10-day Forecast (colors) 7-day Discharge Forecasts **10-day Discharge Forecasts** 100 100 10 day Catchment-Avg Precip [mm/day] 40 atchment-Avg Precip [mm/day] 40 7 day 7 day 10 day 8(80 30 30 Q [10³ m³/s] 60 60 2020 40 20 20 0 0 0 May Jul Sep Oct May Oct 6/22 7/19 8/3 8/18 9/2 9/17 10/210/17 6/25 7/22 8/6 8/21 9/5 9/20 10/510/20 Jun Aug Jun Jul Aug Sep Month Month

Producing a Reliable Probabilistic Discharge Forecast

Step 1: generate discharge ensembles from precipitation forecast ensembles (Q_p) :

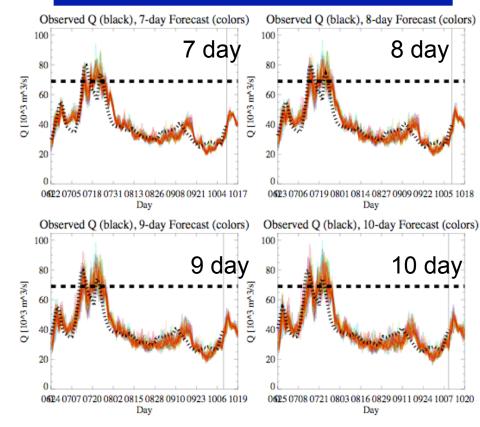


<u>Step 2:</u> a) generate multi-model hindcast error time-series using precip estimates; b) conditionally sample and weight to produce empirical forecasted error PDF:

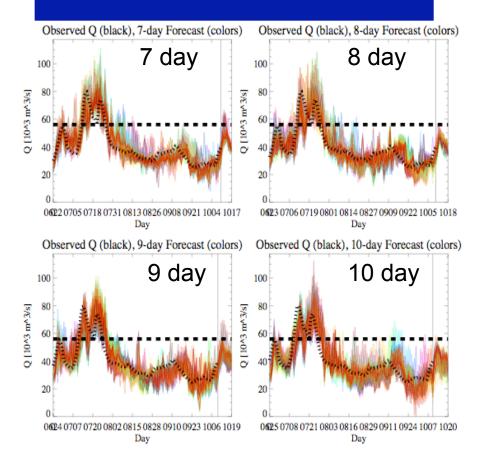


Significance of Weather Forecast Uncertainty Discharge Forecasts

2004 Brahmaputra Discharge Forecast Ensembles

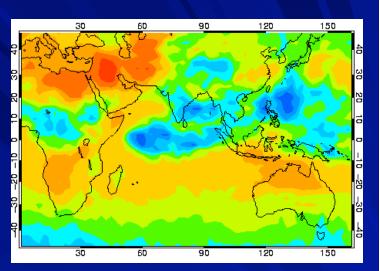


Corrected Forecast Ensembles



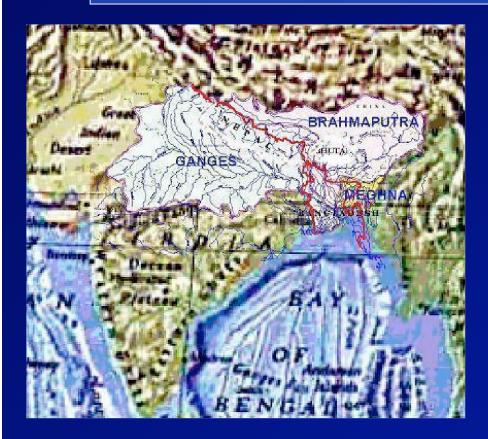
Overview:

Technological improvements in flood forecasting



- I. Future improvements: remotely-sensed river discharge
 Dartmouth Flood Observatory
 GRACE satellite system
- II. Multi-Model or Post-processing: Pros and Cons

CFAB Project: Improve flood warning lead time



Problems:

1. Limited warning of upstream river discharges

2. Precipitation forecasting in tropics difficult

Good forecasting skill derived from:

1. good data inputs: ECMWF weather forecasts, satellite rainfall

2. Large catchments => weather forecasting skill "integrates" over large spatial and temporal scales

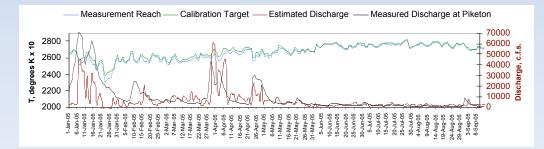
3. Partnership with Bangladesh's Flood Forecasting Warning Centre (FFWC)
 => daily border river readings used in data assimilation scheme



Satellite-based River Discharge Estimation

Bob Brakenridge, Dartmouth Flood Observatory, Dartmouth College

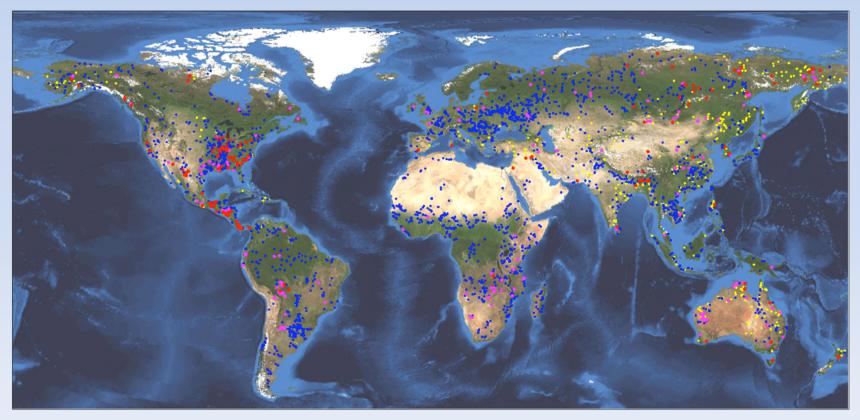




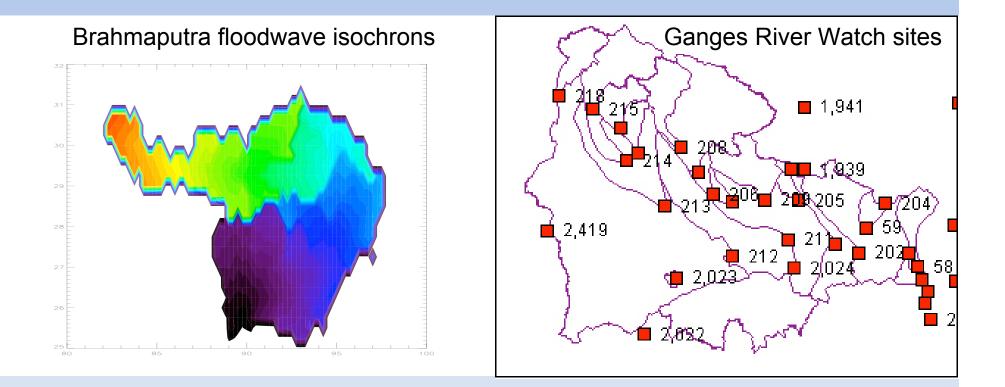
http://www.dartmouth.edu/~floods/

River Watch

- •Day/Night Flood detection on a near-daily basis regardless of cloud cover.
- •Measurement of river discharge changes; current flood magnitude assessments
- •Immediate map-based prediction of what is under water
- •Access to rapid response detailed mapping as new maps are made
- •Access to map data base of previous flooding and associated recurrence intervals.



Application to the Ganges and Brahmaputra Rivers



Utility of River Watch discharge estimates to flood forecasting:

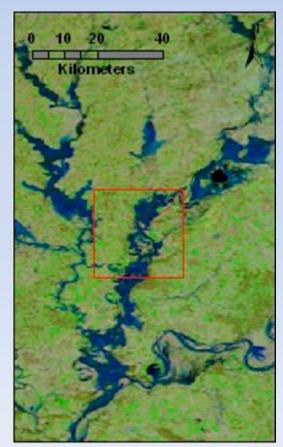
- 1) Calibration of ungauged subcatchments outflow and routing
- 2) Operational improvements through data assimilation
 -- blending of enKF, 4DVAR, and "quantile regression"

MODIS sequence of 2006 Winter Flooding

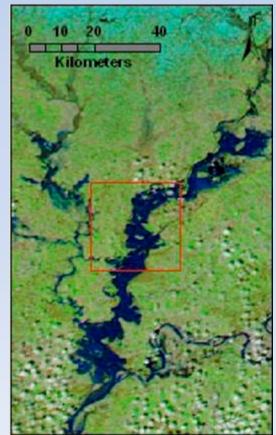
2/24/2006 C/M: 1.004



3/15/2006 C/M: 1.029



3/22/2006 C/M: 1.095



Objective Monitoring of River Status: The Microwave Solution

The Advanced Microwave Scanning Radiometer - Earth Observing System (AMSR-E) is a twelve-channel, sixfrequency, passive-microwave radiometer system. It measures horizontally and vertically polarized brightness temperatures at 6.9 GHz, 10.7 GHz, 18.7 GHz, 23.8 GHz, 36.5 GHz, and 89.0 GHz.

Spatial resolution of the individual measurements varies from 5.4 km at 89 GHz to 56 km at 6.9 GHz. AMSR-E was developed by the Japan Aerospace Exploration Agency (JAXA) and launched by the U.S. aboard Aqua in mid-2002.

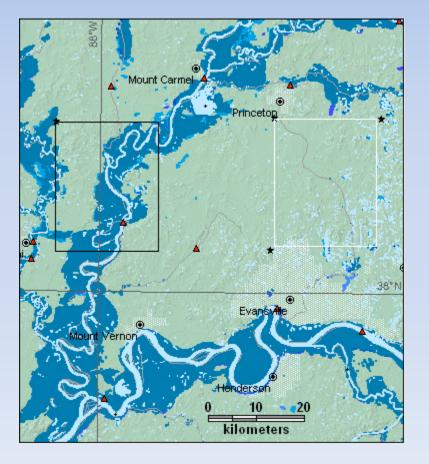


One day of data collection (high latitudes revisited most frequently)

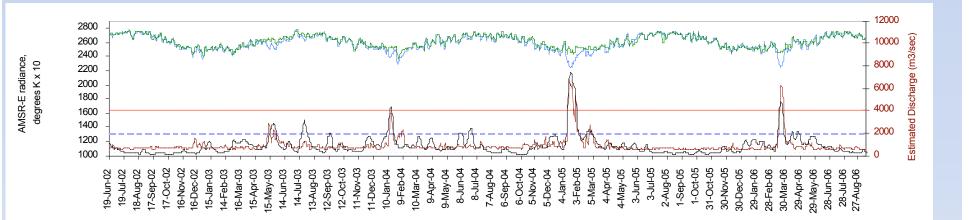


Example: Wabash River near Mount Carmel, Indiana, USA

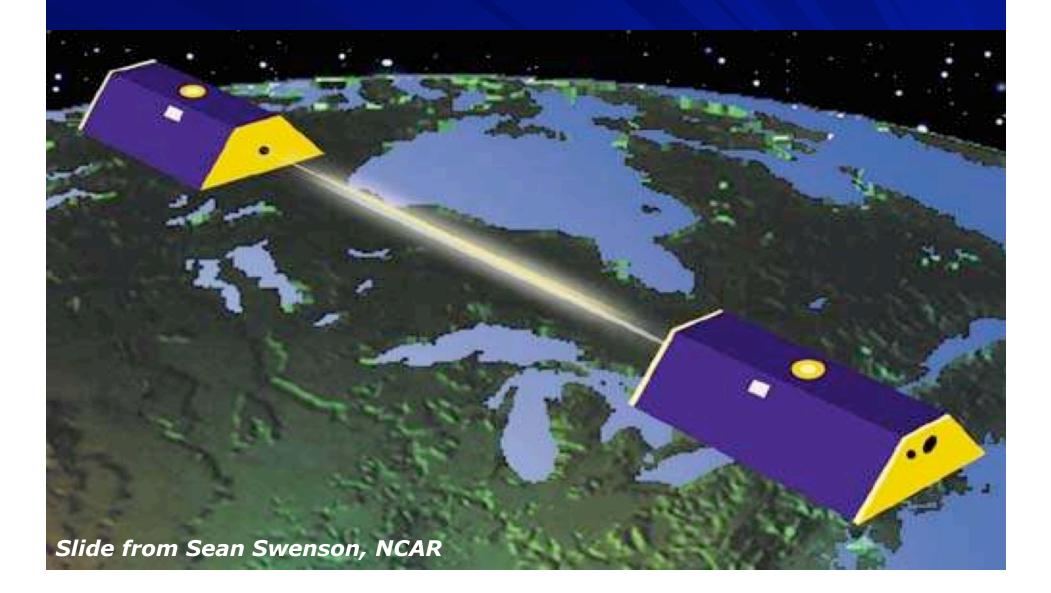
Black square shows Measurement pixel. White square is calibration pixel.

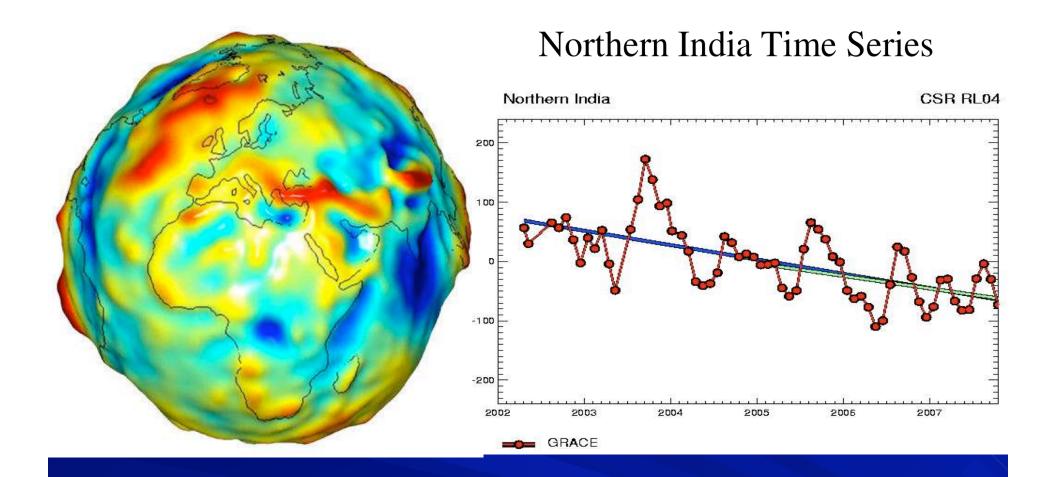


Site 98, Wabash River at New Harmony, Indiana, USA



Gravity Recovery And Climate Experiment (GRACE)





<u>GRACE catchment-integrated soil moisture estimates useful for:</u>
1) Hydrologic model calibration and validation
2) Seasonal forecasting
3) Data assimilation for medium-range (1-2 week) forecasts

Slide from Sean Swenson, NCAR

Conclusions

Further Advances:

- Data assimilation of new satellite-derived products:
 - -- Dartmouth Flood Observatory river discharge estimates
 - -- GRACE integrated catchment soil moisture
 - -- QSCAT and TMI soil moisture estimates (Nghiem, JPL)
- Expansion of multi-model approach (78 member multi-model)
- Daily-updated seamless weather-to-seasonal flood forecasting:
 utilizing short-, medium-, monthly-, and seasonal ensemble forecasts



Multi-Model or Postprocessing: Pros and Cons

Tom Hopson - NCAR Martyn Clark - NIWA Andrew Slater - CIRES/NSIDC

Question:



How best to utilize a multi-model simulation (forecast), especially if under-dispersive?

- a) Should more dynamical variability be searched for? Or
- b) Is it better to balance post-processing with multimodel utilization to create a properly dispersive, informative ensemble?

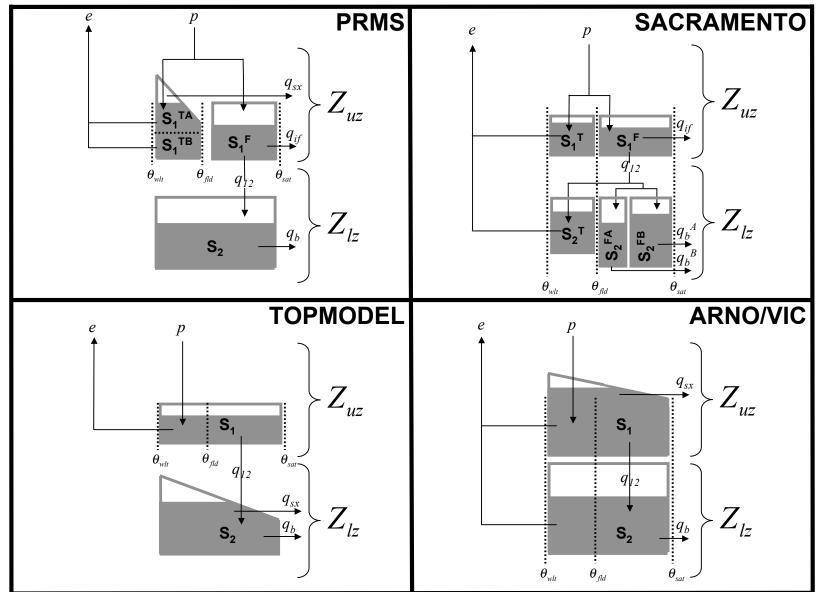
Outline

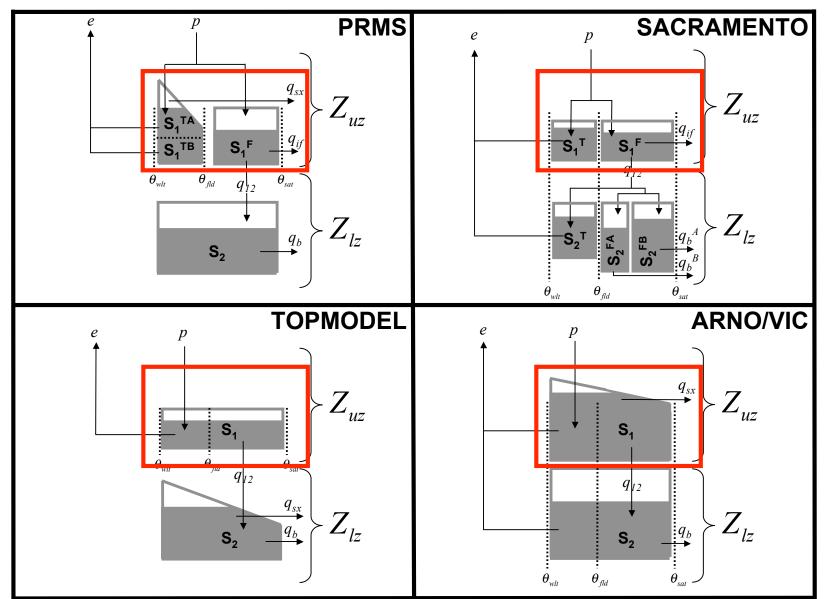


Explore this question using multi-model simulations for the French Broad River, NC of MOPEX

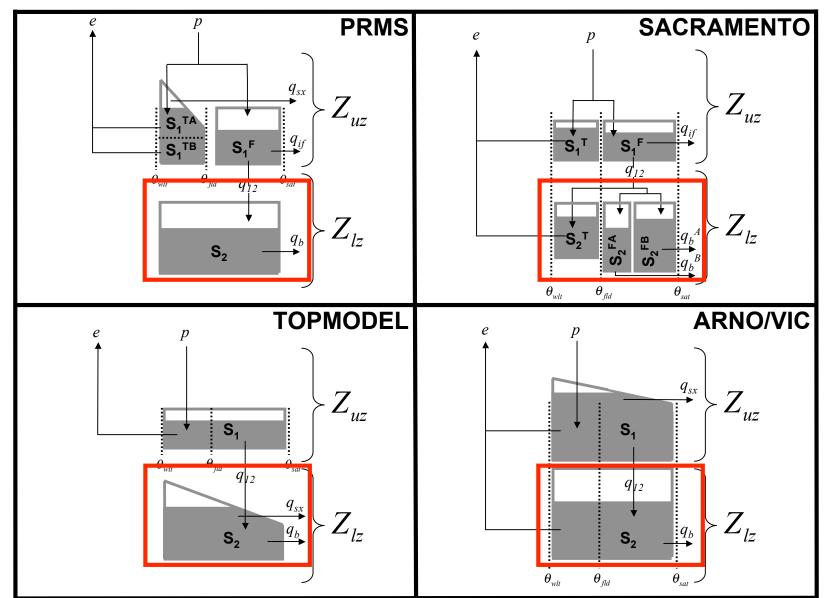
- I. Multi-model: Framework for Understanding Structural Errors (FUSE)
 - Pre-calibration results => under-dispersive
- II. Calibration procedure
 - Introduce Quantile Regression ("QR"; Kroenker and Bassett, 1978)
- III. Discussing of Question -- how best to utilize multi-model

FUSE: <u>Framework for Understanding Structural Errors</u>





Define development decisions: upper layer architecture



Define development decisions: lower layer / baseflow

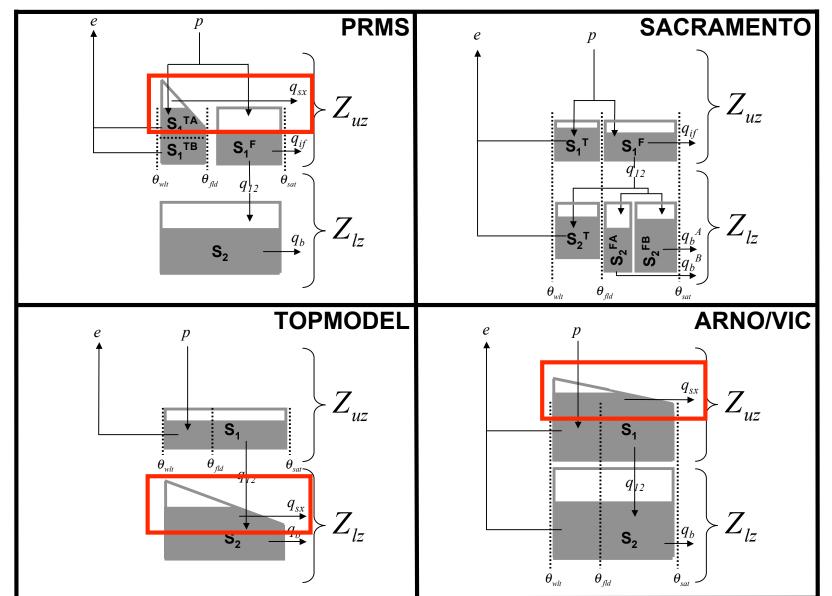
PRMS **SACRAMENTO** q_{sx} Z_{uz} Z_{uz} S S₁^{TB} S. θ_{wlt} θ_{a} q Z_{lz} q_b S, S_2 θ_{wlt} θ_{dd} TOPMODEL **ARNO/VIC** p р q_{sx} Z_{uz} Z_{uz} S₁ θ θ_{wh} q_{12} q_{sx} Z_{lz} Z_{lz} $|q_b|$ q_b S_2 **S**₂

Define development decisions: percolation

Clark, M.P., A.G. Slater, D.E. Rupp, R.A. Woods, J.A. Vrugt, H.V. Gupta, T. Wagener, and L.E. Hay (2008) Framework for Understanding Structural Errors (FUSE): A modular framework to diagnose differences between hydrological models. *Water Resources Research,* 44, W00B02, doi:10.1029/2007WR006735.

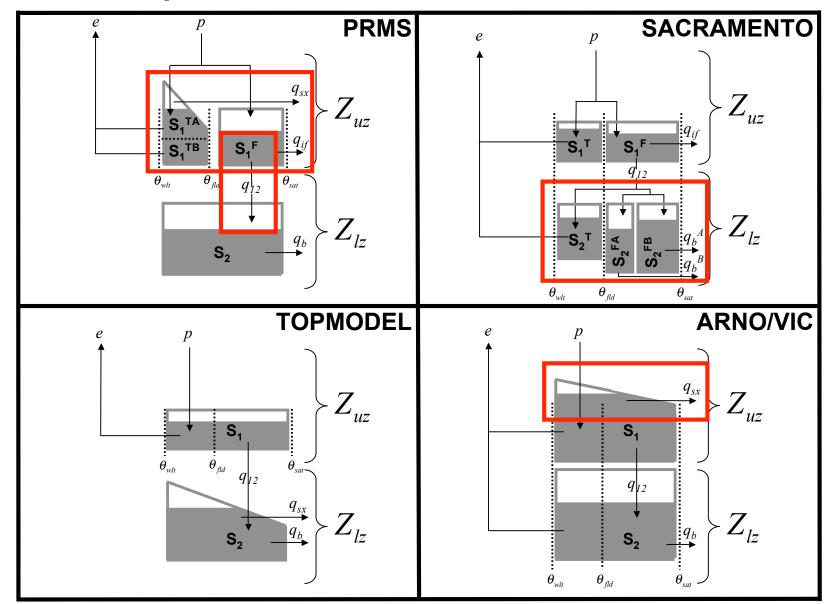
 θ_{wlt}

 θ_{fld}

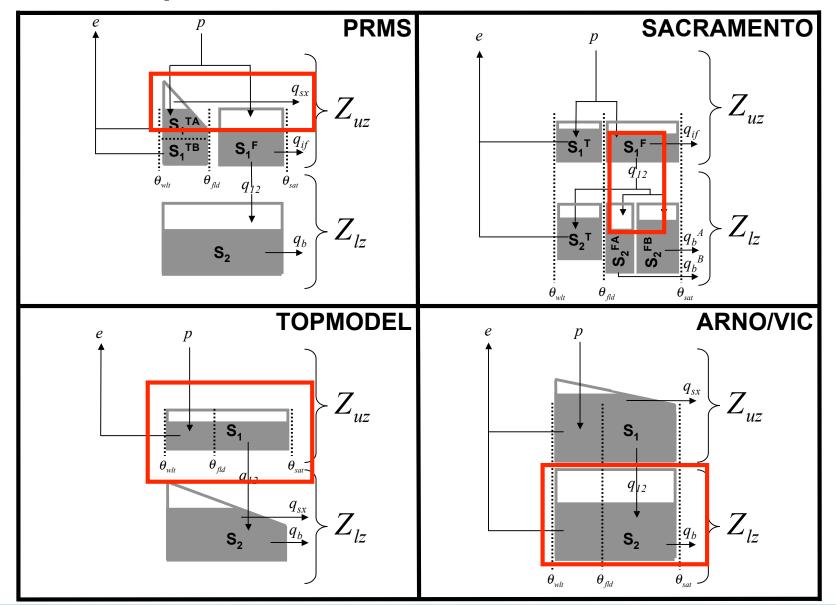


Define development decisions: surface runoff

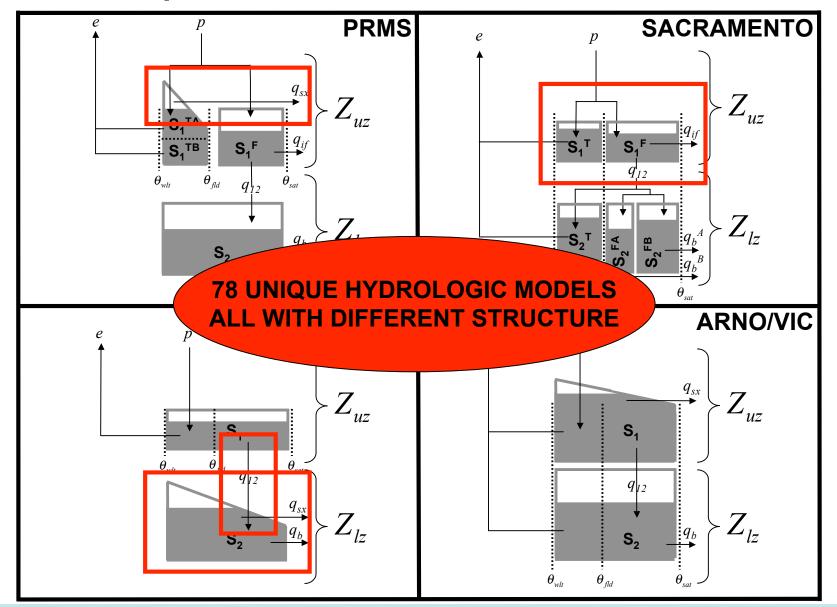
Build unique models: combination 1



Build unique models: combination 2



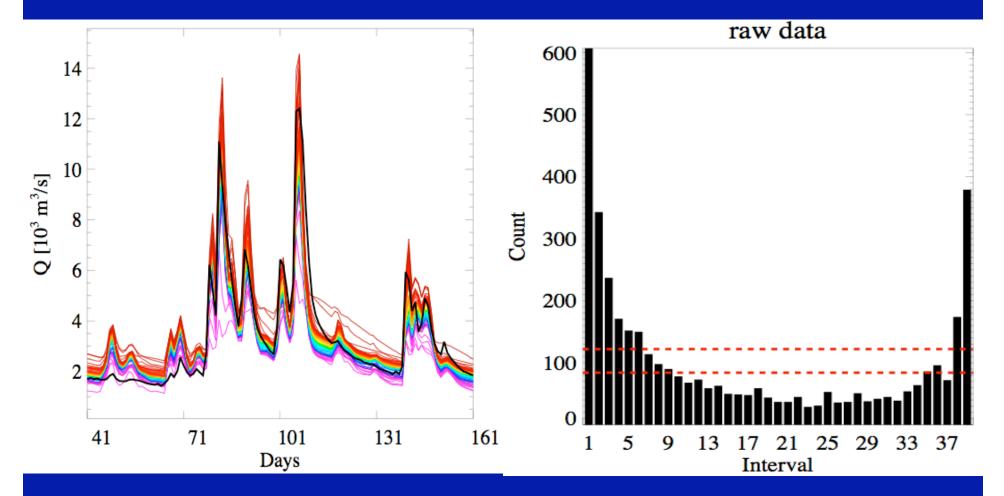
Build unique models: combination 3



Example: French Broad River

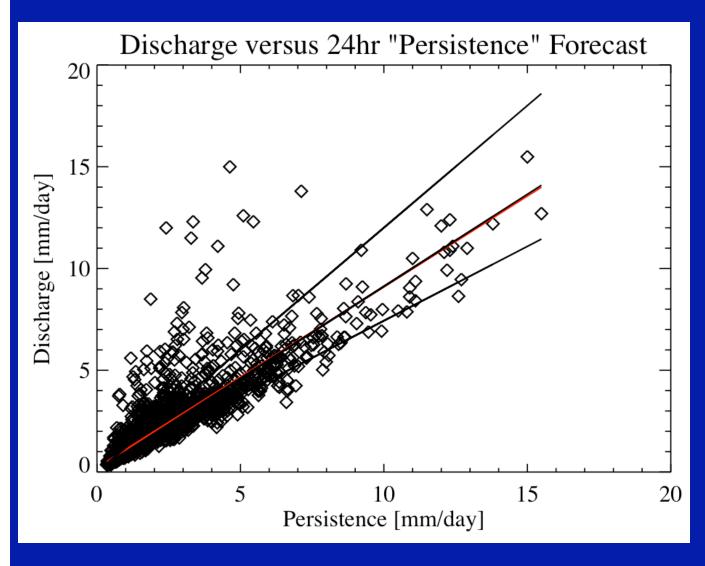


Before Calibration => underdispersive



Black curve shows observations; colors are ensemble

Our approach: Quantile Regression (QR)



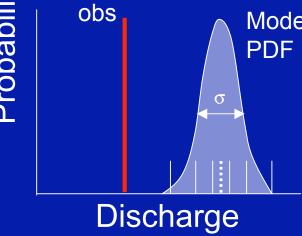
<u>Benefits</u>

1) Less sensitivity to outliers

NCAR

- 2) Works with heteroscedastic errors
- 3) Optimally fit for each part of a (non-gaussian) PDF
- 4) "flat" rank histograms

obs Model PDF Use



Regressor set for each quantile:

1) - 78) All individual 78 model simulations

79) ensemble mean

80) ensemble standard deviation 81) ranked ensemble member

(sorted ensemble that

corresponds to quantile being fit)



Use QR to perform a fit on 78 quantiles individually (recall: 78 FUSE models simulations).

For each of quantile:

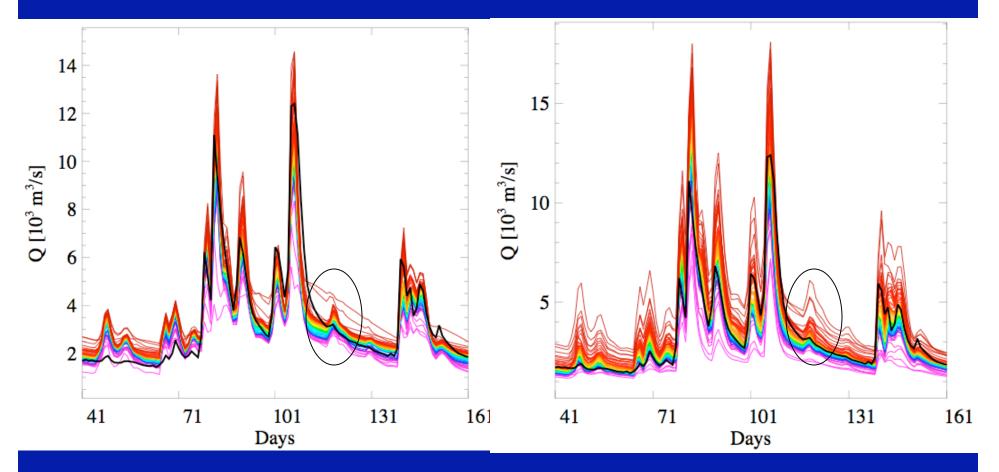
- 1) Perform a "climatological" fit to the data => simulation always as good as "climatology"
- 2) Starting with full regressor set, iteratively select best subset using "forward step-wise crossvalidation"
 - Fitting done using QR
 - Selection done by:
 - a) Minimizing QR cost function
 - b) Satisfying the binomial distribution
 - => Verification measures directly inform the model selection
- 3) 2nd pass: segregate forecasts into differing ranges of ensemble dispersion, and refit models => forcing skill-spread utility

Example: French Broad River



Before Calibration

After Calibration



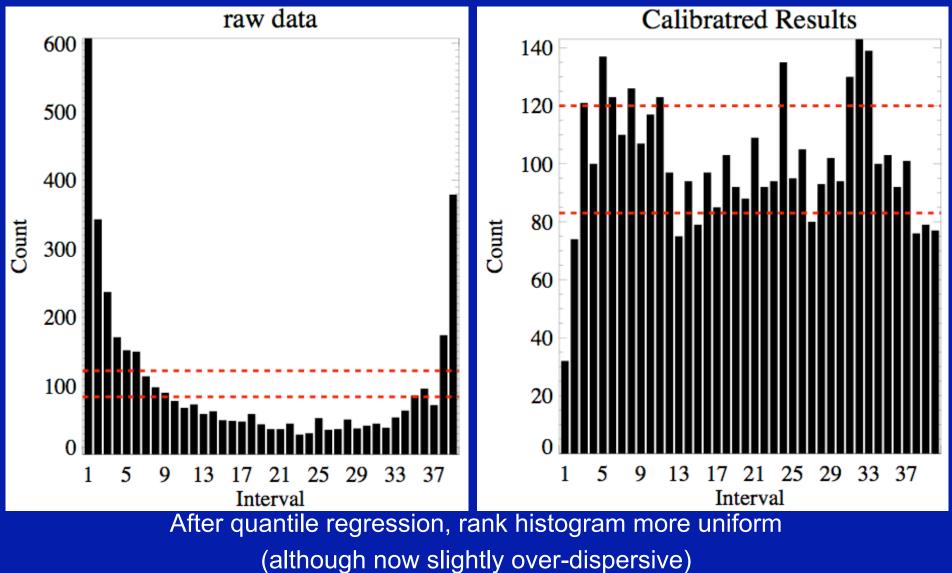
Black curve shows observations; colors are ensemble

Rank Histogram Comparisons



Raw full ensemble

After calibration

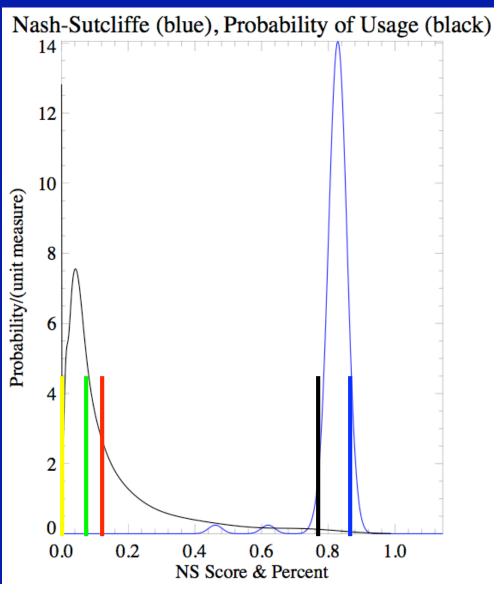


What Nash-Sutcliffe implies about Utility

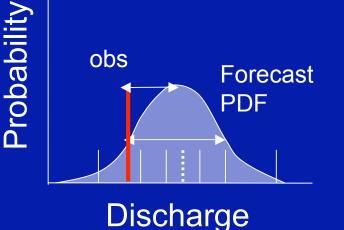


<u>Frequency Used for</u> <u>Quantile Fitting of Method I:</u>

Best Model=76% Ensemble StDev=13% Ensemble Mean=0% Ranked Ensemble=6%



Note:





 $\langle \rangle_{i} = ensemble \text{ average}$ $\langle (f_{i} - o)^{2} \rangle_{i} \text{ versus } \langle (\overline{f} - o)^{2} \rangle$ Simplifying $eq1: \langle f_{i}^{2} \rangle - 2o\overline{f} + o^{2}$ $eq2: \overline{f}^{2} - 2o\overline{f} + o^{2}$ $eq1: 2(\langle f^{2} \rangle - \overline{f}^{2})$ $eq2: \langle f^{2} \rangle - \overline{f}^{2}$ $\Rightarrow eq1 = 2 eq2$

<u>Take home message:</u>

For a "calibrated ensemble", error variance of the ensemble mean is 1/2 the error variance of any ensemble member (on average), independent of the distribution being sampled







6hr Lead-time 36hr Lead-time Model Standard Deviation Model Standard Deviation 2.5 0.5 1.0 1.5 2.0 3.0 0.0 2 0 1 3 4 Error Error

National Security Applications Program Research Applications Laboratory

ATEC-4DWX IPR, 21-22 April 2009

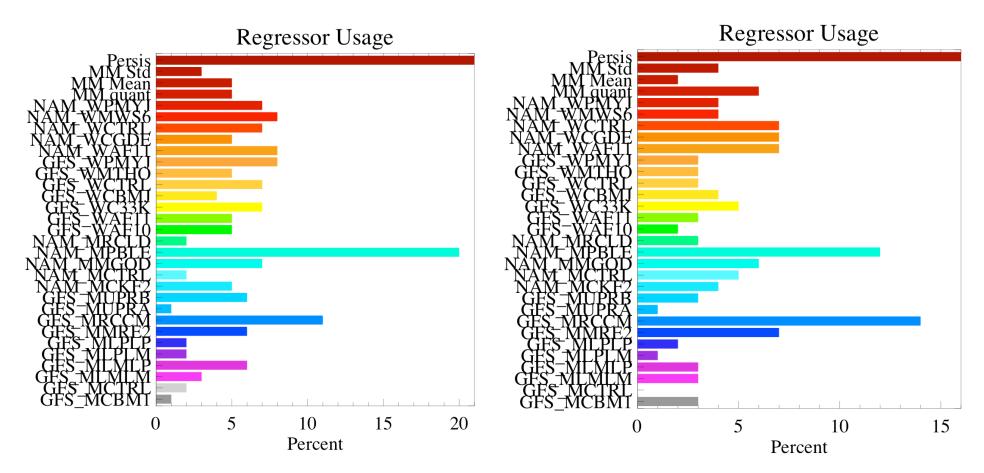
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6hr Lead-time

36hr Lead-time



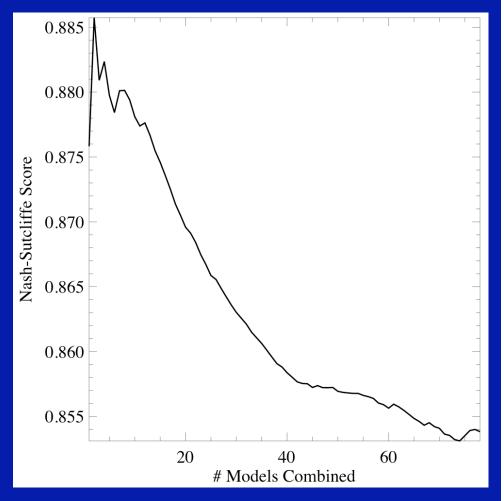
National Security Applications Program Research Applications Laboratory

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What Nash-Sutcliffe implies about Utility (cont) -- degredation with increased ensemble size

Sequentially-averaged FUSE models (ranked based on NS Score) and their resultant NS Score

- $\Rightarrow \qquad \text{Notice the degredation of NS with} \\ \text{increasing # (with a peak at 2 models)}$
- ⇒ For an equitable multi-model, NS should rise monotonically
- ⇒ Maybe a smaller subset of models would have more utility? (A contradiction for an under-dispersive ensemble?)



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What Nash-Sutcliffe implies about Utility (cont)



... earlier results ...

Initial Frequency Used for Quantile Fitting:

Best Model=76% Ensemble StDev=13% Ensemble Mean=0% Ranked Ensemble=6% ...using only top 1/3 of models To rank and form ensemble mean ...

Reduced Set Frequency
Used for Quantile Fitting:

Best Model=73% Ensemble StDev=3% Ensemble Mean=32% Ranked Ensemble=29%

⇒Appears to be significant gains in the utility of the ensemble after "filtering" (except for drop in StDev) … however "proof is in the pudding" …
⇒Examine verification skill measures …

Skill Scores

$$SS = \frac{A_{forc} - A_{ref}}{A_{perf} - A_{ref}}$$

- Single value to summarize performance.
- Reference forecast best naive guess; persistence, climatology
- A perfect forecast implies that the object can be perfectly observed
- Positively oriented Positive is good

Skill Score Comparisons between full- and "filtered" FUSE ensemble sets

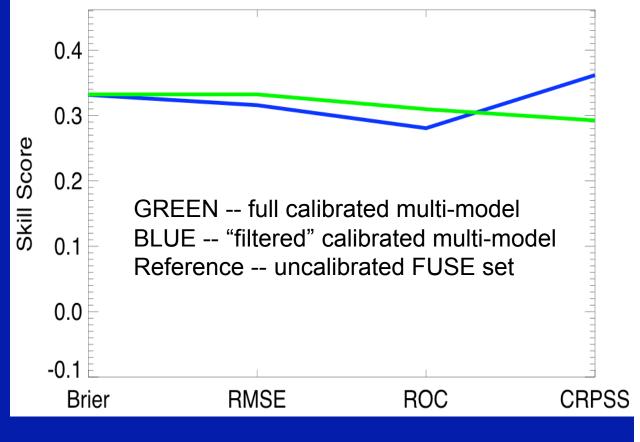


Points:

- -- quite similar results for a variety of skill scores
- -- both approaches give appreciable benefit over the original raw multi-model output

-- however, only in the CRPSS is there improvement of the "filtered" ensemble set over the full set

⇒post-processing method fairly robust
⇒More work (more filtering?)!



Question revisited:



How best to utilize a multi-model simulations (forecast), especially if under-dispersive?

- a) Should more dynamical variability be searched for? Or
- b) Is it better to balance post-processing with multi-model utilization to create a properly dispersive, informative ensemble?

"Answer": adding more models can lead to decreasing skill of the ensemble mean (even if the ensemble is underdispersive)

Further, quantile-regression-based calibration is fairly robust and can do a lot with just a single model (not shown), especially if a variety of approaches are utililized.

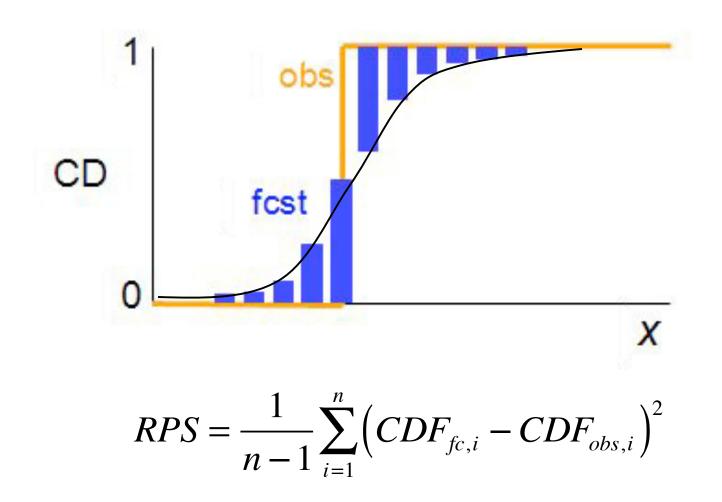




Rank Probability Score



for multi-categorical or continuous variables



Continuous scores: MSE

$$MSE = \frac{1}{n} \sum_{i=1}^{n} (y_i - x_i)^2$$

Attribute: measures accuracy

Average of the squares of the errors: it measures the magnitude of the error, weighted on the squares of the errors

it does not indicate the direction of the error

Quadratic rule, therefore large weight on large errors:

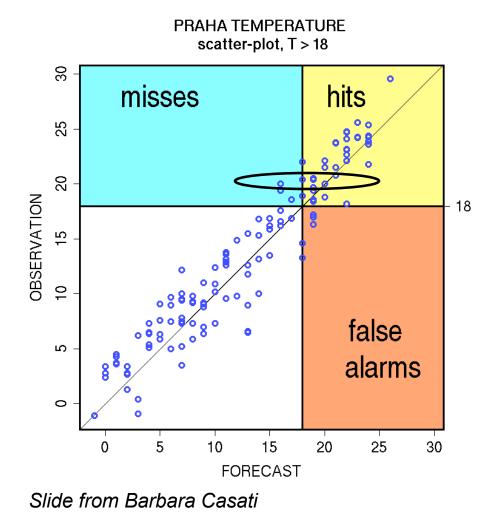
 \rightarrow good if you wish to penalize large error

→ sensitive to large values (e.g. precipitation) and outliers; sensitive to large variance (high resolution models); encourage conservative forecasts (e.g. climatology)

=> For ensemble forecast, use ensemble mean

Scatter-plot and Contingency Table

Does the forecast detect correctly temperatures above 18 degrees ?



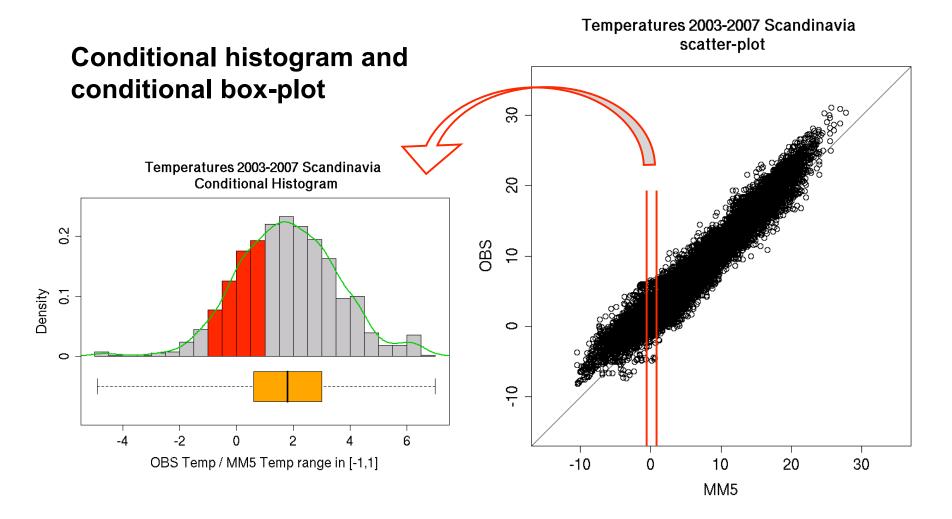
Brier Score

$$BS = \frac{1}{n} \sum_{i=1}^{n} (y_i - o_i)^2$$

y = forecasted event occurenceo = observed occurrence (0 or 1)i = sample # of total n samples

=> Note similarity to MSE

Conditional Distributions

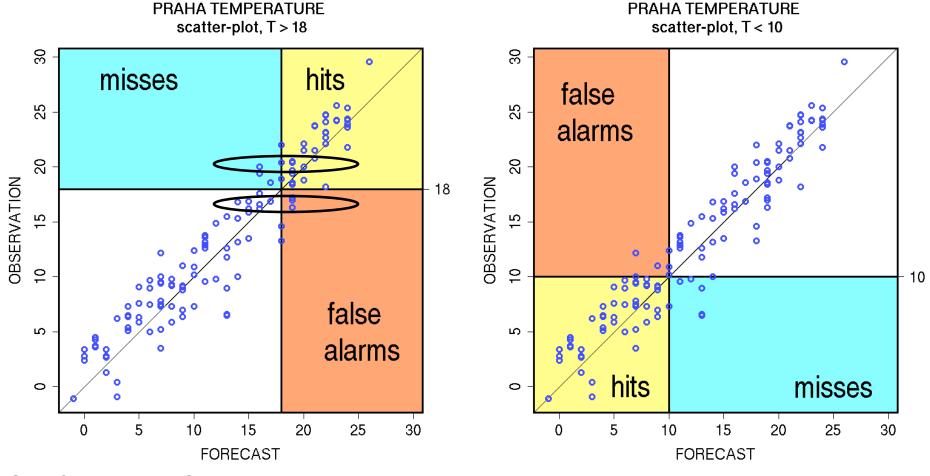


Slide from Barbara Casati

Scatter-plot and Contingency Table

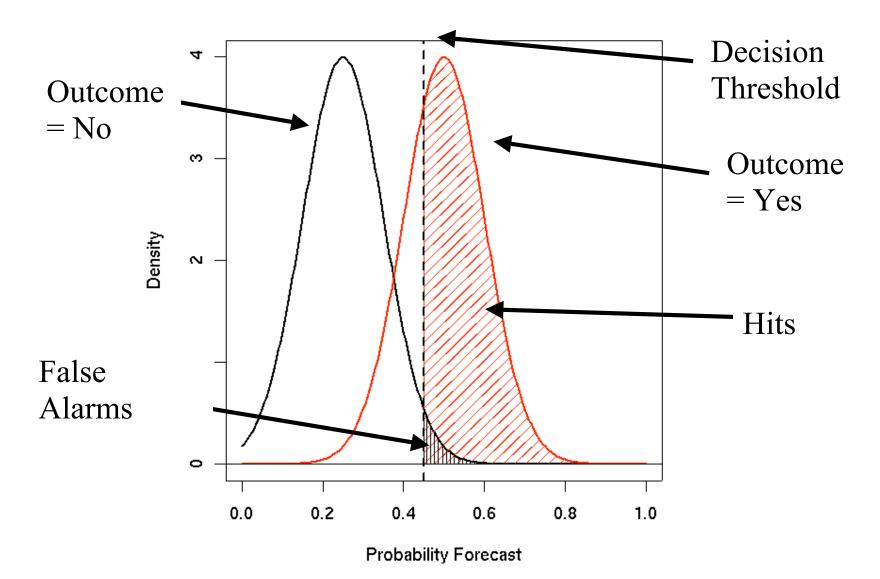
Does the forecast detect correctly temperatures above 18 degrees ?

Does the forecast detect correctly temperatures below 10 degrees ?



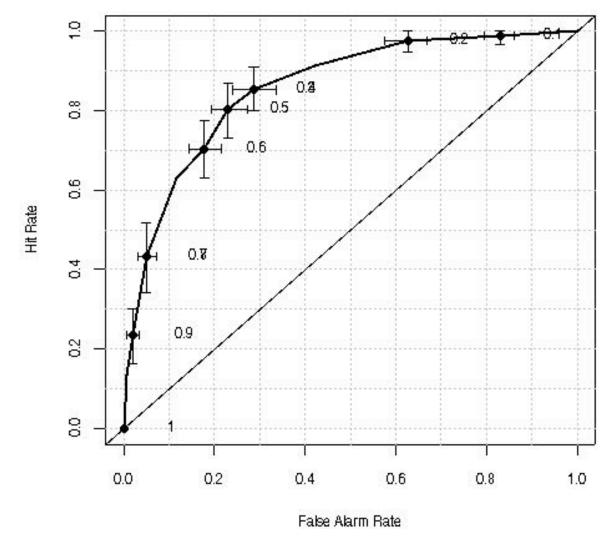
Slide from Barbara Casati

Discrimination Plot



Slide from Matt Pocernic

Receiver Operating Characteristic (ROC) Curve



Slide from Matt Pocernic