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Summer School on Particle Physics

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Flavor Physics - III

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First important aim of Flavour Physics: Accurate determination of the CKM parameters

At present an accuracy of few % has been achieved!

Standard parameterization for a 3x3 unitary matrix





Some $O(\lambda^5)$ corrections are required by the present accuracy and are included by keeping higher order terms in the original parameterization rexpressed in terms of A, λ , ρ , η (so that the CKM matrix satisfies unitarity at all orders)

$$\begin{split} V_{ud} &= 1 - \frac{1}{2}\lambda^2 - \frac{1}{8}\lambda^4 + \mathcal{O}(\lambda^6) \\ V_{us} &= \lambda + \mathcal{O}(\lambda^7) \\ V_{ub} &= A\lambda^3(\varrho - i\eta) \\ V_{cd} &= -\lambda + \frac{1}{2}A^2\lambda^5[1 - 2(\varrho + i\eta)] + \mathcal{O}(\lambda^7) \\ V_{cs} &= 1 - \frac{1}{2}\lambda^2 - \frac{1}{8}\lambda^4(1 + 4A^2) + \mathcal{O}(\lambda^6) \\ V_{cb} &= A\lambda^2 + \mathcal{O}(\lambda^8) \\ V_{td} &= A\lambda^3 \left[1 - (\varrho + i\eta)(1 - \frac{1}{2}\lambda^2) \right] + \mathcal{O}(\lambda^7) \\ V_{ts} &= -A\lambda^2 + \frac{1}{2}A(1 - 2\varrho)\lambda^4 - i\eta A\lambda^4 + \mathcal{O}(\lambda^6) \\ V_{tb} &= 1 - \frac{1}{2}A^2\lambda^4 + \mathcal{O}(\lambda^6) \\ \\ V_{ub} &= A\lambda^3(\varrho - i\eta), \qquad V_{td} &= A\lambda^3(1 - \bar{\varrho} - i\bar{\eta}) \\ \hline \mathbf{\bar{\rho}} = \mathbf{\rho} \left(\mathbf{1} - \frac{\mathbf{\Lambda}^2}{2} \right), \qquad \mathbf{\bar{n}} = \mathbf{n} \left(\mathbf{1} - \frac{\mathbf{\Lambda}^2}{2} \right) \end{split}$$



There are two collaborations working at the UTA



13 members from France, Switzerland, Germany and Japan



Collaboration of Theorists and **Experimentalists**

Adrian Bevan Marcella Bona Marco Ciuchini Enrico Franco Vittorio Lubicz Guido Martinelli Fabrizio Parodi Maurizio Pierini Carlo Schiavi Luca Silvestrini Viola Sordini

Queen Mary, University of London Queen Mary, University of London INFN Sezione di Roma Tre Denis Derkach LAL-IN2P3 Orsay University of Roma "La Sapienza" University of Roma Tre University of Roma "La Sapienza" University of Genova **CFRN** University of Genova **INFN Sezione of Roma IPNL-IN2P3** Lyon Achille Stocchi LAL-IN2P3 Orsay Cecilia Tarantino University of Roma Tre Vincenzo Vagnoni INFN Sezione of Bologna



For a significant comparison between exp. measurements and theor. predictions, hadronic uncertainties must be well under control

The fundamental role of Lattice QCD

 Path Integral: Green functions ≡ derivatives of the generating functional

$$Z(J_{\mu},\eta,\overline{\eta}) = \int \delta A \,\delta \overline{q} \,\delta q \ e^{-S(A,q,\overline{q}) + \int J_{\mu}A_{\mu} + \int \overline{\eta}q + \int \overline{q}\eta}$$

In order to formally define the integrals, one considers a discrete LATTICE in a finite volume: infinite-dimension integrals ordinary multiple integrals



<u>In the era of precision Flavour Physics</u> <u>We have also entered the era of</u>

Precision LATTICE QCD

Unquenched calculations with relatively low quark masses are now being performed by several groups using different approaches (lattice action, renormalization,...). Crucial when aiming at a percent precision.

"PRECISION" LATTICE QCD: WHY NOW

1)Increasing of computational power

(Several machines of O(10-100 TeraFlops))
Unquenched simulations







UNQUENCHED

 2) Algorithmic improvements:
 Light quark masses in the ChPT regime

FLAVOUR PHYSICS ON THE LATTICE

Collaboration	Quark action	Nf	a [fm]	(Μ _π) ^{min} [MeV]	Observables
MILC + FNAL, HPQCD,	Improved staggered	2+1	≥ 0.045	230	$f_{K}, B_{K}, f_{D(s)},$ D $\rightarrow \pi/K I\nu, f_{B(s)},$ B _{B(s)} , B \rightarrow D/ π I ν
PACS-CS	Clover (NP)	2+1	0.09	156	f _K
RBC/UKQCD	DWF	2+1	≥ 0.08	290	f ₊ (0), f _K , B _K
BMW	Clover smeared	2+1	≥ 0.07	190	f _K
JLQCD	Overlap	2 2+1	0.12	290	B _K
ETMC	Twisted mass	2 2+1+1	≥ 0.07	260	f ₊ (0), f _K , B _K ,f _{D(s)} , D→π/KIν, f _{B(s)}
QCDSF	Clover (NP)	2	≥ 0.06	300	f ₊ (0), f _K



$\lambda = V_{us}$ from KI3 decays



Ademollo-Gatto: $f_{+}(0) = 1 - O(m_s - m_u)^2 \iff O(1\%)$. But represents the largest theoret. uncertainty



Lattice QCD

THE O(1%) PRECISION CAN BE REACHED

D.Becirevic, G.Isidori, V.Lubicz, G.Martinelli, F.Mescia, S.Simula, C.T., G.Villadoro. [NPB 705,339,2005] The basic ingredient is a double ratio of correlation functions [FNAL for $B \rightarrow D, D^*$]



Flavour Lattice Averaging Group (FLAG) [1011.4408]

 $f_{+}(0)=0.956(8) \rightarrow |V_{us}|=0.225(1)$



- Good agreement between Nf=2 and 2+1 calculations and the first quenched result

-Analytical (model dependent) results slightly higher than Lattice QCD

V_{us}/V_{ud} from Kµ2/ π µ2 decays



The lattice determination of f_K/f_π, together with the experimental measurement of the leptonic decay Br's, and with |V_{ud}| from nucleon beta decays, allows to extract |V_{us}|





Exclusive vs Inclusive V_{cb}





$$|V_{cb}|_{SM-Fit} = (42.7 \pm 1.0) 10^{-3}$$



THE UTA CONSTRAINTS





UT-ANGLES



Exclusive vs Inclusive V_{ub}

















•Similar semplification in other $b \rightarrow c\bar{c}s$ channels: $\Psi(2S)K_S, \chi_{c1} K_S, \eta_c K_S, J_{\Psi} K_L, J_{\Psi} K^*, B_s \rightarrow \Psi \phi$ •Alternative determinations (sensitive to NP) from the charmless $b \rightarrow s$ one-loop (penguin) amplitude: $B \rightarrow \eta' K_{S,L}, B \rightarrow \phi K_S$ •cos2 β from a time-dep. analysis of $B \rightarrow J_{\Psi} K^*, B \rightarrow D \pi^0$ (cos2 β >0 solving the $\beta \leftrightarrow (\pi/2 - \beta)$ ambiguity)



Main theoretical uncertainty from isospin violations mainly in ew penguins and FSI (irreducile theory error few%)



Various methods consider different final states:

•CP-eigenstates (Gronau, London, Wyler [GLW]) ($\pi^{+}\pi^{-}$, K⁺K⁻, K₅ π^{0} , K₅ ϕ , K₅ ω ,...) •doubly Cabibbo suppressed D modes (Atwood, Dunietz, Soni [ADS]) (K⁺ π^{-} , K⁺ ρ^{-} , K^{*} π^{-} ,...) •three-body D decaying modes (Dalitz plot analysis) (K₅ $\pi^{+}\pi^{-}$ provides the best estimate at present) [A.Giri, hep-ph/0303187]

The best strategy is a combined analysis taking into account many D and D* modes

The UTA within the Standard Model





of flavour mixing and CP violation



	From a clo	UT _{fit}	
(ex			
	Prediction	Measurement	Pull
sin2β	0.771±0.036	0.654±0.026	2.6 ←
γ	69.6°±3.1°	74°±11°	<1
α	85.4°±3.7°	91.4°±6.1°	< 1
$ V_{cb} \cdot 10^3$	42.69±0.99	40.83±0.45	+1.6
$ V_{ub} \cdot 10^3$	3.55±0.14	3.76±0.20	< 1
ε _κ · 10³	1.92±0.18	2.230±0.010	-1.7 ←
BR(B $\rightarrow \tau \nu$)·10 ⁴	0.805±0.071	1.72±0.28	-3.2 ←



NEWS:

Brod&Gorbahn (1007.0684): NNLO QCD analysis of the charm-top contribution in box diagrams (3% enhancement of $\epsilon_{\rm K}$), charm-charm contribution in progress

NEXT FUTURE:

Further few percents could come from dimension-8 operators: $\sim m_{K}^{2}/m_{c}^{2}$ corrections (calculation in progress)









The indirect determination of sin(2 β) turns out to be at ~2.6 σ from the experimental measurement (the theory error in the extraction from B \rightarrow J_{ψ} K_S is well under control)



The UTA beyond the Standard Model

Update of UTfit 0909.5065



Model-independent UTA: bounds on deviations from the SM (+CKM)

•Parametrize generic NP in ΔF =2 processes, in all sectors •Use all available experimental info

•Fit simultaneously the CKM and NP parameters

NP contributions in the mixing amplitudes:



$$H^{\Delta F=2} = m + \frac{i}{2} \Gamma \qquad A = m_{12} = \langle M | m | \overline{M} \rangle \qquad \Gamma_{12} = \langle M | \Gamma | \overline{M} \rangle$$

K mixing amplitude (2 real parameters):
Re $A^{K} = C_{\Delta m_{k}} \operatorname{Re} A^{SM}_{K} \qquad \operatorname{Im} A_{K} = C_{\varsigma} \operatorname{Im} A^{SM}_{K}$
B_d and B_s mixing amplitudes (2+2 real parameters):
 $A_{q} e^{2i\phi_{q}} = C_{B_{q}} e^{2i\phi_{B}} A^{SM}_{q} e^{2i\phi_{q}^{SM}} = \left(1 + \frac{A^{NP}_{q}}{A^{SM}_{q}} e^{2i(\phi_{q}^{NP} - \phi_{q}^{SM})}\right) A^{SM}_{q} e^{2i\phi_{q}^{SM}}$

SM		SM+NP
$(\bigvee_{ub} / \bigvee_{cb})^{S} \gamma^{SM}$	tree level	$\stackrel{(\bigvee_{ub}\!/\!\bigvee_{cb})^{SM}}{\gamma^{SM}}$
- 014		- 014
β ^{5M} α ^{5M}	Bd Mixing	β™+φ _{Bd} α sm - φ _{Bd}
Δm_d		C _{Bd} ∆m _d
∆m _s sм –β₅sм	Bs Mixing	$\begin{array}{c} C_{Bs}\!\Delta m_{s}^{-SM}\\ -\beta_{s}^{-SM}\!\!+\!\phi_{Bs}\end{array}$
ε _к ^{sм} Δm _κ ^{sм}	K Mixing	$C_{\epsilon_{K}} \epsilon_{K}^{SM} C_{\Delta m K} \Delta m_{K}^{SM}$

From this (NP) analysis:

 $\overline{
ho} = 0.135 \pm 0.040$ $\overline{\eta} = 0.374 \pm 0.026$

In good agreement with the results from the SM analysis

> $\overline{
> ho} = 0.132 \pm 0.020$ $\overline{
> ho} = 0.358 \pm 0.012$





In 2010, two surprising news:







a_{μμ} and B_s →J/Ψ φ point to large but different values of φ_{Bs} (N.B. the UTA beyond the SM allows for NP in loops only, i.e. tree-level NP in Γ₁₂ is not allowed)

> Further confirmations from experiments are looked forward!

•Are there NP models solving these tensions?

•What are the effects in Flavour Physics within various NP models?

•How to search and discriminate them?