



2244-8

Summer School on Particle Physics

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Flavor Physics - IV

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New Physics searches within Flavour Physics

The SM turns out to be very successful in describing essentially all processes But pecetd to be an effective theory valid up to a cuto

It is expecetd to be an effective theory valid up to a cutoff scale as it has some important limits

•The SM is a quantum theory for strong and electroweak interactions but NOT for gravitation (quantum effecs in gravitation are expected to become important at very high energies ($M_{Pl} \sim 10^{23} \text{ GeV}$))

•There is cosmological evidence of Dark Matter (not made up of SM particles) in the Universe •In order to explain the dominance of matter over anti-matter in the Universe it is crucial to have CP-violation: the phase in the CKM matrix is not enough to explain the required amount for baryogenesis

•In the SM the Higgs mass receives large radiative corrections, quadratic in the cutoff $\Lambda \sim M_{Pl} \sim 10^{23}$ GeV (energy scale where the SM fails). In order to have a Higgs mass of O(100 GeV) as known indirectly from electroweak precision tests, an innatural fine-tuning is required (hierarchy problem)

In the SM neutrinos (v) are assumed massless while the evidence of oscillations shows that they are massive. The most credited mechanism to generate v masses is the so called SEE-SAW, where v masses are small because inversely proportional to a large scale.
 It is reasonable to identify this scale with a NP scale where strong and electroweak interactions unify (GRAND-UNIFICATION)

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And, in particular, our understanding of flavour is UNSATISFACTORY



It is reasonable and desirable to think that an explanation is provided by New Physics (NP) beyond the SM! Moreover, the solution doesn't seem to be trivial: the FLAVOUR PROBLEM

"NP is expected at the TeV scale (in order to solve the hierarchy problem) but in flavour processes NP effects are not observed (hinting for NP at higher scales)"

> The flavour structure of the NP model cannot be generic

The most appealing and studied NP Models

(the elegant) SuperSymmetry (SUSY)

•It is a symmetry that relates the SM elementary particles to other particles that differ by half a unit of spin (known as superpartners)

•If SUSY were exact partners and superpartners would have the same mass, but superpartners have never been observed, then SUSY has to be broken

•The presence of superpartners solves the hierarchy problem by canceling quadratic radiative corrections to the Higgs mass

•The lightest superpartner can be a candidate for dark matter

•SUSY improves the unification of the strong and electroweak couplings w.r.t. the SM, providing a framework where <u>Grand-Unification works well</u>

•Susy is required in String Theory



Figure 1.1: One-loop quantum corrections to the Higgs squared mass parameter m_H^2 , due to (a) a Dirac fermion f, and (b) a scalar S.

Figure 5.8: RG evolution of the inverse gauge couplings $\alpha_a^{-1}(Q)$ in the Standard Model (dashed lines) and the MSSM (solid lines). In the MSSM case, the sparticle mass thresholds are varied between 250 GeV and 1 TeV, and $\alpha_3(m_Z)$ between 0.113 and 0.123. Two-loop effects are included.





(the strong) <u>Technicolor</u>

- 1. There is not the SM Higgs (which has the hierarchy problem)
- 2. There is a new (higher scale) strong interaction similar to QCD
- 3. the new TechniPions generate masses

•EWPT and even more Flavour constraints put the Technicolor in troubles

•Modern version of TC:

walking TC (nearly-conformal 4d strongly coupled theory AdS/CFT corresponding to a weakly coupled 5d theory, having peculiar anomalous dimension of techni-operators that suppresses NP effects in Flavour)

<u>(the focused)</u> <u>Little Higgs Models</u>

- 1. The light Higgs is interpreted as a <u>pseudoGoldstone</u> boson of a spontaneously broken global symmetry (G)
- 2. Gauge and Yukawa couplings of the Higgs are introduced by gauging a subgroup of G
- 3. `Dangerous´´ quadratic corrections are avoided at one-loop through Collective Symmetry Breaking (the Higgs becomes massive only when two couplings are non-vanishing)

The Higgs dynamics is described (similarly to ChPT) by a non-linear sigma model up to A ~10TeV
The UV completion is unknown (another LH?, SUSY?, ED?)



- 1. The gauge symmetry is extended (e.g. a further SU(2), U(1),...)
- 2. New heavy gauge bosons appear
- 3. They mix with the SM gauge bosons, thus modifying couplings
- 4. Extra fermions and scalars might also exist
- 5. Several NP Models predict new heavy gauge bosons

Tevatron has set the lower bound M_{Z'} ≥600-700 GeV
 (for Z' which couple to leptons too)

(the why-not?) Fourth Generation

•It is based on the idea of having a 4° generation of quarks (and leptons): (t'_L,b'_L), t'_R, b'_R, with $m_{t'} \approx 300-600 \text{ GeV}$, $m_{b'} \approx m_{t'} - 50 \text{ GeV}$ (from EWPT)

•The CKM matrix is 4×4, with 3 new mixing angles and 2 new phases

•It would remove the tension in the Higgs mass between direct lower bound and indirect constraints

•It would help gauge coupling unification

•It would introduce new sources of CP-violation for barygenesis

The NP (classes of) models I have mentioned are probably the most studied but other NP models exist...

How to search for NP effects within Flavour Phsycs: an effective theory approach

$$H_{eff}^{NP} = \frac{G_F}{\sqrt{2}} \bullet \left[\bigvee_{i}^{CKM} \left(C_i^{NEW} \left(\mu \right) Q_i \left(\mu \right) + C_i^{MFV} \left(\mu \right) Q_i^{MFV} \left(\mu \right) \right) \right]$$

$$+ \left(\bigvee_{i}^{non-MFV} C_i^{non-MFV} \left(\mu \right) Q_i^{non-MFV} \left(\mu \right) \right]$$

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$$H_{eff}^{NP} = \frac{G_F}{\sqrt{2}} \bullet \left[\bigvee_{i}^{NFV} C_i^{NFV} \left(\mu \right) \left(\psi \right) \left(\psi \right) \left(\psi \right) \left(\psi \right) \right)$$

$$H_{eff}^{NP} = \frac{G_F}{\sqrt{2}} \bullet \left[\bigvee_{i}^{NFV} C_i^{NFV} \left(\psi \right) \left($$

Beyond MFV: New sources of flavour violation (Vi^{non-MFV}) can appear

New operators (Q_i^{MFV} , $Q_i^{non-MFV}$) can appear



Theorist's Golden Modes

Suppression within the SM Sensitivity to NP

•FCNCs forbidden at tree-level in the SM (radiative and rare decays: b \rightarrow (s,d) γ , b \rightarrow (s,d) / / r, b \rightarrow svv, B_{d,s} \rightarrow / / r, s \rightarrow d / r, s \rightarrow d / / r

•CKM-, helicity-suppression (semileptonic CP-asymmetry: A^{s}_{SL} ...,t-dep. CP-asymmetries: $A_{CP}(B \rightarrow K^{*}\gamma)$, and CP-asymmetries in $D^{0}-\overline{D}^{0}$ system)

	$K^+ o \pi^+ \nu \bar{\nu}$	$K_{ m L} ightarrow \pi^0 u ar{ u}$	$B \to X_s \nu \bar{\nu}$	$B \to X_d \nu \bar{\nu}$
			$B_s \rightarrow l^+ l^-$	$B_d \rightarrow l^+ l^-$
λ_c	$\sim \lambda$	$({ m Im}\lambda_c\sim\lambda^5)$	$\sim \lambda^2$	$\sim \lambda^3$
λ_t	$\sim \lambda^5$	$({ m Im}\lambda_t\sim\lambda^5)$	$\sim \lambda^2$	$\sim \lambda^3$

Small hadronic uncertainties



•At most one hadron in the final state (leptonic and semileptonic decays: $B \rightarrow \tau \nu$, $B_{d,s} \rightarrow l^{*}$ /, $b \rightarrow (s,d)$ //, $b \rightarrow s \nu \overline{\nu}$, $s \rightarrow d l^{*}$ /, $s \rightarrow d \nu \overline{\nu}$, $l_{i} \rightarrow l_{j} \gamma$, $l_{i} \rightarrow 3 l_{j}$,...)

•Smearing of bound-effects in the final state (Inclusive quantities: lifetimes, ΔM_q , $\Delta \Gamma_q/\Gamma_q$, A^q_{SL} , ϕ_s ,...)

•Suppression/cancellation of some hadronic uncertainties (clean dominant contributions, peculiar ratios/correlations: $A_{CP}(B \rightarrow J_{\Psi} K_{s})$, $\Delta M_{s}/\Delta M_{d}$,...)



$b \rightarrow s\gamma$ (exclusive)

Theoretical predictions require QCD factorization:

Br($B \rightarrow K^*\gamma$) is theoretically cleaner than Br($B \rightarrow \rho\gamma$), where $O(\Lambda_{QCD}/m_b)$ corrections turn out to be relevant

Interesting exclusive observables are the t-dep. CP-asymmetries $A_{CP}(B \rightarrow V\gamma)$: •they are (helicity) suppressed within the SM ~O(1%) •their observation would be a clear signal of NP

$$\begin{array}{c} \textbf{B}_{\textbf{q}} \rightarrow \textbf{/} \textbf{/} \\ Br(B_{s} \rightarrow l^{+}l^{-}) = \tau(B_{s}) \frac{G_{\mathrm{F}}^{2}}{\pi} \left(\frac{\alpha}{4\pi \sin^{2}\Theta_{\mathrm{W}}}\right)^{2} F_{B_{s}}^{2} m_{l}^{2} m_{B_{s}} \sqrt{1 - 4\frac{m_{l}^{2}}{m_{B_{s}}^{2}}} |V_{tb}^{*}V_{ts}|^{2}Y^{2}(x_{t}) \\ \hline \textbf{The } \mu^{+}\mu^{-} \textbf{ modes are experimentally the best:} \\ \cdot e^{*}e^{-} \text{ is } m_{e}^{2}/m_{\mu}^{2} \text{ suppressed} \\ \cdot \tau^{+}\tau^{-} \text{ has at least other two missing } \nu \text{ from decaying } \tau^{+}s \\ \hline \textbf{Upper bounds have been recently improved} \\ \hline \textbf{Highly sensitive to NP} \\ (loop FCNC: Z-penguin dominated) \\ \cdot \text{Theoretically clean (purely leptonic)} \\ \hline \textbf{Highly sensitive to NP} \\ (loop FCNC: Z-penguin dominated) \\ \hline \textbf{Highly sensitive to NP} \\ (loop FCNC: Z-penguin dominated) \\ \hline \textbf{Highly sensitive to NP} \\ (loop FCNC: Z-penguin dominated) \\ \hline \textbf{Highly sensitive to NP} \\ (loop FCNC: Z-penguin dominated) \\ \hline \textbf{Highly sensitive to NP} \\ (loop FCNC: Z-penguin dominated) \\ \hline \textbf{Highly sensitive to NP} \\ (loop FCNC: Z-penguin dominated) \\ \hline \textbf{Highly sensitive to NP} \\ (loop FCNC: Z-penguin dominated) \\ \hline \textbf{Highly sensitive to NP} \\ \hline \textbf{Highly clean (purely leptonic)} \\ \hline \textbf{Highly sensitive to NP} \\ \hline \textbf{Highly clean (purely leptonic)} \\$$

b \rightarrow (s,d) // / Main SM contribution from em dipole operator (Q_7^{γ}), and ew penguin operators (Q^9 , Q^{10}) ·Close to the charm threshold (long-distance) cc resonances appear					
Inclusive: $B \rightarrow X_s$ // / •Wilson coefficients at NNLO in QCD [C.Bobeth et al., hep-ph/0312090, M.Gorbon U. Haisch hep-ph/04110711	[T.Huber at al., hep-ph/0512066] Br($\overline{B} \rightarrow X_s \mu^+ \mu^-$) SM = (1.59±0.11)·10 ⁻⁶ 1GeV ² < m ² _{//} < 6 GeV ² Br($\overline{B} \rightarrow X_s e^+ e^-$) SM = (1.64±0.11)·10 ⁻⁶				
•HQE at $O(\Lambda^2_{QCD}/m_c^2)$, $O(\Lambda^2_{QCD}/m_b^2)$, $O(\Lambda^3_{QCD}/m_b^3)$ •QED corrections •bremmstrahlung effects	Sensitive to the interference of the Wilson coefficients C_7 and C_9				
	The forward-backward asymmetry (A_{FB}) is sensitive to C_7C_{10} and C_9C_{10}				
Exclusive:B→K* /+/	The most interesting observables are:				
• $d\Gamma^2 / (dq^2 dcos\theta_i) \rightarrow extraction of C_9/C_7 and C_{10}/C_7 sensitive to NP in C_{9,10}$ • A_{FB} and its zero q_0^2 : main source of uncertainty \rightarrow hadronic inputs					
• A_{I} (isospin asymmetry between neutral and char- • Muon to electron ratio: $R_{H} \equiv \int_{q_{1}}^{q_{2}} dq^{2} \frac{d\Gamma(B \to H\mu^{+}\mu^{-})}{dq^{2}} / dq^{2}$	rged B):Small within the SM $/\int_{q_1}^{q_2} dq^2 \frac{d\Gamma(B \to He^+e^-)}{dq^2}, H = \{K, K^*\}$				

Inclusive:
$$B \rightarrow X_s \ v \ v$$

Highly sensitive to NP (loop FCNC: Z-penguin and box dominated)
Theoretically very clean
It could provide the cleanest determination of |V_{td}/V_{ts}|

$$\frac{Br(B \to X_s \nu \bar{\nu})}{Br(B \to X_c e \bar{\nu})} = \frac{3\alpha^2}{4\pi^2 \sin^4 \Theta_{\rm W}} \frac{|V_{ts}|^2}{|V_{cb}|^2} \frac{X^2(x_t)}{f(z)} \frac{\bar{\eta}}{\kappa(z)}$$

$$\frac{Br(B \to X_d \nu \bar{\nu})}{Br(B \to X_s \nu \bar{\nu})} = \frac{|V_{td}|^2}{|V_{ts}|^2}$$

...and D-Physics...

W.r.t. B-Physics, long-distance contributions can be important. Within the OPE: the expansion parameter Λ_{QCD}/m_c is not as small as Λ_{QCD}/m_b and $\alpha_s(m_c) > \alpha_s(m_b)$

$$x_{D} = \frac{\Delta M_{D}}{\overline{\Gamma}}, \quad y_{D} = \frac{\Delta \Gamma_{D}}{2\overline{\Gamma}}$$

$$x_{D} \sim y_{D} \sim (0.5-1)\% \text{ (BaBar+Belle)}$$
Is it compatible with the SM?
ficult answer due to large uncertaintie

(long-distance contributions)

Dif



Rare Kaon Decays

$${\rm K_L}{\rightarrow}\,\pi^0\,\,\nu\,\,\overline{\nu}$$
 and ${\rm K^+}\,\,\rightarrow\pi^+\,\nu\,\,\overline{\nu}$

Golden modes (Short-distance dominated) [intrinsic theoretical uncertainty <5%]

$$Br(K_{\rm L} \to \pi^0 \nu \bar{\nu}) = \kappa_{\rm L} \cdot \left(\frac{{\rm Im}\lambda_t}{\lambda^5} X(x_t)\right)^2$$
$$\kappa_{\rm L} = \frac{r_{K_{\rm L}}}{r_{K^+}} \frac{\tau(K_{\rm L})}{\tau(K^+)} \kappa_+ = 1.80 \cdot 10^{-10}$$

 $\textbf{K}_{L} {\rightarrow} \pi^{\textbf{0}} ~ \textbf{e}^{\scriptscriptstyle +} ~ \textbf{e}^{\scriptscriptstyle -} ~ \textbf{and} ~ \textbf{K}_{L} {\rightarrow} \pi^{\textbf{0}} ~ \mu^{\scriptscriptstyle +} ~ \mu^{\scriptscriptstyle -}$

Promising modes (not as clean as the previous decays, interesting for their sensitivity to new operators w.r.t. the SM)

$$\begin{split} Br(K^+ \to \pi^+ \nu \bar{\nu}) &= \kappa_+ \cdot \left[\left(\frac{\mathrm{Im}\lambda_t}{\lambda^5} X(x_t) \right)^2 + \left(\frac{\mathrm{Re}\lambda_c}{\lambda} P_0(X) + \frac{\mathrm{Re}\lambda_t}{\lambda^5} X(x_t) \right)^2 \right] ,\\ \kappa_+ &= r_{K^+} \frac{3\alpha^2 Br(K^+ \to \pi^0 e^+ \nu)}{2\pi^2 \sin^4 \Theta_{\mathrm{W}}} \lambda^8 = 4.11 \cdot 10^{-11} , \end{split}$$

	$K^+ o \pi^+ u ar{ u}$	$K_{ m L} ightarrow \pi^0 u ar{ u}$	$B o X_s u ar{ u}$	$B \to X_d \nu \bar{\nu}$
			$B_s \rightarrow l^+ l^-$	$B_d \rightarrow l^+ l^-$
λ_c	$\sim \lambda$	$({ m Im}\lambda_c\sim\lambda^5)$	$\sim \lambda^2$	$\sim \lambda^3$
λ_t	$\sim \lambda^5$	$({ m Im}\lambda_t\sim\lambda^5)$	$\sim \lambda^2$	$\sim \lambda^3$

Golden Modes	SM	Experiment	Next future improvements
$K^+ \rightarrow \pi^+ \nu \overline{\nu}$	$(7.8\pm0.8)\cdot10^{-11}$	$(17^{+12}_{-11}) \cdot 10^{-11}$ E949	from: NA62 at CERN
$K_L \rightarrow \pi^0 \nu \overline{\nu}$	$(2.4 \pm 0.4) \cdot 10^{-11}$	< 6.7 · 10 ⁻⁸ E391a	→ KOTO at JPARC
$K_L \rightarrow \pi^0 e^+ e^-$	$(3.5^{+1.0}_{-0.9}) \cdot 10^{-11}$	$< 2.8 \cdot 10^{-10}$ KTeV	
$K_L \rightarrow \pi^0 \mu^+ \mu^-$	$(1.4 \pm 0.3) \cdot 10^{-11}$	$< 3.8 \cdot 10^{-10}$ KTeV	
-	·	Still a lot of room for NP!	





LFV decays are strongly suppressed in the SM, due to tiny neutrino masses



In NP models, new heavy masses can run in loops yielding spectacular enhancements (up to present exp. bounds)

SN

There are several interesting Lepton Flavour Violating Decays

$$\begin{array}{c} \mu \to e\gamma & \xrightarrow{} \text{From 10^{-11}} \\ \tau \to \mu\gamma & \xrightarrow{} \text{From 10^{-8}} \\ \tau \to e\gamma & \xrightarrow{} \text{From 10^{-8}} \\ \tau \to e\gamma & \xrightarrow{} \text{From 10^{-8}} \\ \end{array} \qquad \begin{array}{c} \mu^- \to e^- e^+ e^- \\ \tau^- \to \mu^- \mu^+ \mu^- \\ \tau^- \to e^- e^+ e^- \end{array}$$

$$\begin{split} \mathsf{K}_{\mathsf{L},\mathsf{S}} &\to \mu \, \mathsf{e} \\ \mathsf{B}_{\mathsf{d},\mathsf{s}} &\to \mu \, \mathsf{e} \\ \mathsf{B}_{\mathsf{d},\mathsf{s}} &\to \tau \, \mathsf{e} \\ \mathsf{B}_{\mathsf{d},\mathsf{s}} &\to \tau \, \mu \\ \end{split}$$

 e^+e^-

 $\tau \to \mu \pi$ $\tau \to e \pi$ $\tau \rightarrow \mu \eta$ $\begin{aligned} \tau &\to e \eta \\ \tau &\to \mu \eta' \\ \tau &\to e \eta' \end{aligned}$

$$\tau^{-} \rightarrow e^{-}\mu^{+}e^{-}$$
$$\tau^{-} \rightarrow \mu^{-}e^{+}\mu^{-}$$
$$\tau^{-} \rightarrow e^{-}\mu^{+}\mu^{-}$$

$$\mu Ti \rightarrow e Ti \rightarrow From 10^{-12} to 10^{-18}$$
[PRISM/PRIME]

DNA of Flavour Physics by Andrzej Buras (1012.1447)

Invisible NP effects

SUSY models

	AC	RVV2	AKM	δLL	FBMSSM	$SSU(5)_{\rm RN}$
$D^0 - \overline{D}^0$	***	*	*	*	*	*
ϵ_K	*	***	***	*	*	***
$S_{\psi\phi}$	***	***	***	*	*	***
$S_{\phi KS}$	***	**	*	***	***	**
$A_{\rm CP}\left(B\to X_s\gamma\right)$	*	*	*	***	***	*
$A_{7,8}(K^*\mu^+\mu^-)$	*	*	*	***	***	*
$B_s \to \mu^+ \mu^-$	***	***	***	***	***	***
$K^+ \to \pi^+ \nu \bar{\nu}$	*	*	*	*	*	*
$K_L \to \pi^0 \nu \bar{\nu}$	*	*	*	*	*	*
$\mu \to e \gamma$	***	***	***	***	***	***
$\tau \to \mu \gamma$	***	***	*	***	***	***
$\mu + N \rightarrow e + N$	***	***	***	***	***	***

Non-SUSY models

	LHT	RSc	4G	2HDM	RHMFV
$D^0 - \overline{D}^0$ (CPV)	***	***	**	**	
ϵ_K	**	***	**	**	**
$S_{\psi\phi}$	***	***	***	***	***
$S_{\phi KS}$	*	*	**		
$A_{\rm CP} \left(B \to X_s \gamma \right)$	*		*		
$A_{7,8}(K^*\mu^+\mu^-)$	**	*	**		
$B_s \rightarrow \mu^+ \mu^-$	*	*	***	***	**
$K^+ \to \pi^+ \nu \bar{\nu}$	***	***	***		**
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	***	***	***		**
$\mu ightarrow e \gamma$	***	***	***		
$\tau \rightarrow \mu \gamma$	***	***	***		
$\mu + N \rightarrow e + N$	***	***	***		

Even more important are correlations

less sensitive to model parameters
useful to discriminate different models



Useful Correlations between LFV Br's could help in discriminating between different NP models

M.Blanke, A.J.Buras, B.Duling A.Poschenrieder, C.T., 0906.5454

ratio	LHT	MSSM (dipole)	MSSM (Higgs)
$\frac{Br(\mu^- \rightarrow e^- e^+ e^-)}{Br(\mu \rightarrow e \gamma)}$	0.021	$\sim 6\cdot 10^{-3}$	$\sim 6\cdot 10^{-3}$
$\frac{Br(\tau^- \rightarrow e^- e^+ e^-)}{Br(\tau \rightarrow e\gamma)}$	0.040.4	$\sim 1\cdot 10^{-2}$	$\sim 1\cdot 10^{-2}$
$\frac{Br(\tau^-\!\rightarrow\!\mu^-\mu^+\mu^-)}{Br(\tau\rightarrow\!\mu\gamma)}$	0.040.4	$\sim 2\cdot 10^{-3}$	0.060.1
$\frac{Br(\tau^- \rightarrow e^- \mu^+ \mu^-)}{Br(\tau \rightarrow e\gamma)}$	0.040.3	$\sim 2\cdot 10^{-3}$	0.020.04
$\frac{Br(\tau^-\!\!\rightarrow\!\!\mu^-e^+e^-)}{Br(\tau\!\rightarrow\!\!\mu\gamma)}$	0.040.3	$\sim 1\cdot 10^{-2}$	$\sim 1\cdot 10^{-2}$
$\frac{Br(\tau^- \rightarrow e^- e^+ e^-)}{Br(\tau^- \rightarrow e^- \mu^+ \mu^-)}$	0.82.0	~ 5	0.30.5
$\frac{Br(\tau^- \rightarrow \mu^- \mu^+ \mu^-)}{Br(\tau^- \rightarrow \mu^- e^+ e^-)}$	0.71.6	~ 0.2	510
$\frac{R(\mu \mathrm{Ti} \rightarrow e \mathrm{Ti})}{Br(\mu \rightarrow e \gamma)}$	$10^{-3}\dots 10^2$	$\sim 5\cdot 10^{-3}$	$0.08 \dots 0.15$
Littlest H with T	iggs Model -parity	Minimal Standa Standa a small or bi	Supersymmetr rd Model with g Higgs contri

...further interesting observables in searching NP...

 ϵ'/ϵ : direct CP-violation in the Kaon system (lattice calculation of matrix elements suffers from great difficulties (power divergences and disconnected contributions in $\Delta I=1/2$ operators) Preliminary promising results have been recently obtained

•Two body non-leptonic decays of B mesons information on CP-violation (e.g. $B \rightarrow \pi \pi$, $B \rightarrow \pi K$, LHCb will extend this study to B_s and B_c decays)

•CP-violation in D-mesons (i.e., mesons wih a charm quark) (SuperB will produce a huge amount of D-mesons)

And some crucial flavour conserving observables that would deserve a separate talk

•Electric dipole moments (CP-violating flavour conserving quantities, very strongly suppressed in the SM)

•Muon anomalous magnetic moment, for which both very accurate theoretical prediction and measurement exist and deviate by ~3 σ

In order to reveal NP and understand its nature Flavour Physics has a fundamental role besides the direct production at LHC

> The next decades will see a great experimental activity, not only in the direct NP search at LHC, but also in the Flavour Sector

We briefly go through present and next future experiments in Flavour Physics: LHCb SuperB-Factory NA62 MEG J-PARC

...



LHCb: The LHC will study also the flavour structure of NP

·LHCb is one of the 6 experiments at LHC

·LHCb stands for LHCbeauty

•It is dedicated to the study of b-physics (all kinds of b-hadrons are produced)

•@LHC (p-p collider with 7 TeV for each beam) a huge amount of b-5 couples (10¹²/year) is produced but with a high background

 It is crucial to detect vertices and identify particles with great accuracy

•First, very promising, results have been obtained









Diagrams contributing to $\mu \rightarrow e\gamma$ in the SM.

Diagrams contributing to $\mu \to e\gamma$ in the LHT model.

	J-PARC	14
•The High Intensity Proto has been realized at Tok	on Accelerator Project, na kai (Japan)	amed as J-PARC,
•It consists of three acce synchrotron and 50 GeV	e <mark>lerators</mark> : 400 MeV Linac, synchrotron	3 GeV rapid cycle
•It includes four major ex Facility, Nuclear and Par Experiment Facility and	x <mark>perimental facilities: Mat</mark> rticle Physics Facility, Nuc Neutrino Facility	terial and Life Science clear Transmutation
•Its important role in Flat -the (flavour-violating) μ sensitivity by 6 orders -the rare decay $K_L \rightarrow \pi^0$	vour Physics is due to the u-e transition in Nuclei, in of magnitude [PRISM/PRI vv [KOTO experiment]	measurement of: nproving the present ME experiment],
	Materials and Life Science Experimental Facility (neutron and muon)	Nuclear and Particle Experimental Facility (Hadron Facility)
	ransmutation	Nuclear and Particle
		(Neutrino Facility

3 GeV Synchrotron (25 Hz, 1MW)

Linac (330m) 50 GeV Synchrotron (0.75 MW)

J-PARC = Japan Proton Accelerator Research Complex

Conclusions

•There are several Flavour Physics observables that are highly sensitive to NP (theoretically clean and accurately measurable in the next decade)

- •With present experimental bounds there is room for significant NP effects in many flavour physics observables
- •Important experiments dedicated to Flavour Physics have started or are in program for the next decade, together with a great theoretical activity
- •The complementarity between direct production of new particles at LHC and indirect NP search in the flavour sector will be crucial to reveal the nature of NP

