

SHAKE, RATTLE and SLIP

thermal excitations

in atomic-scale friction

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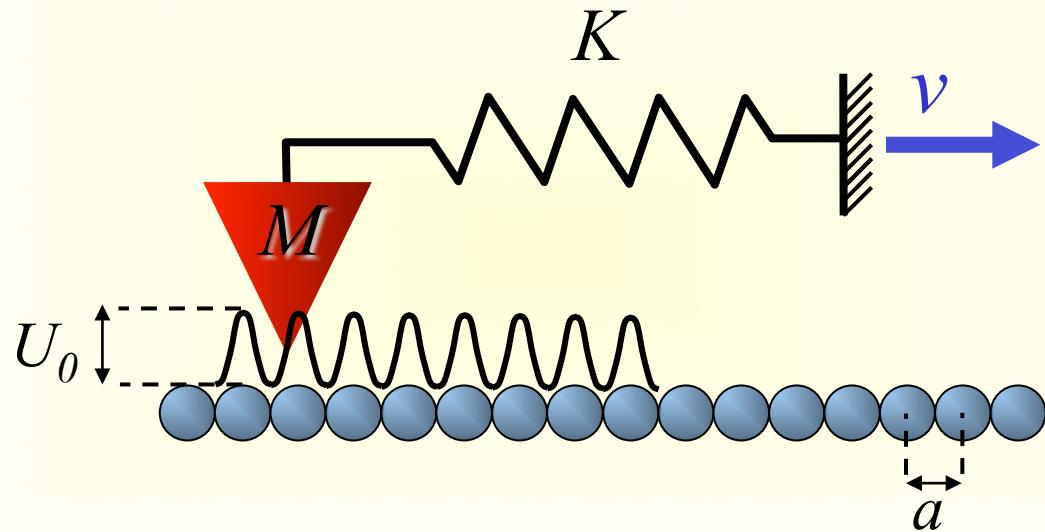
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- Atomic stick-slip: superlubricity and **thermolubricity**
- Role of contact flexibility: *dominant!*
- Many friction regimes
- Temperature dependence



Prandtl - Tomlinson model (1929/1928)

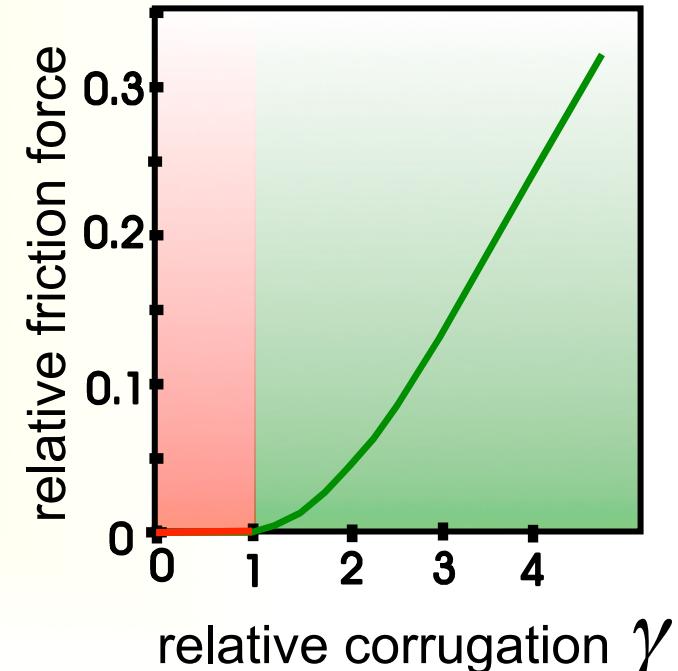


$$\text{friction parameter : } \gamma = 2\pi^2 \frac{U_0}{Ka^2}$$

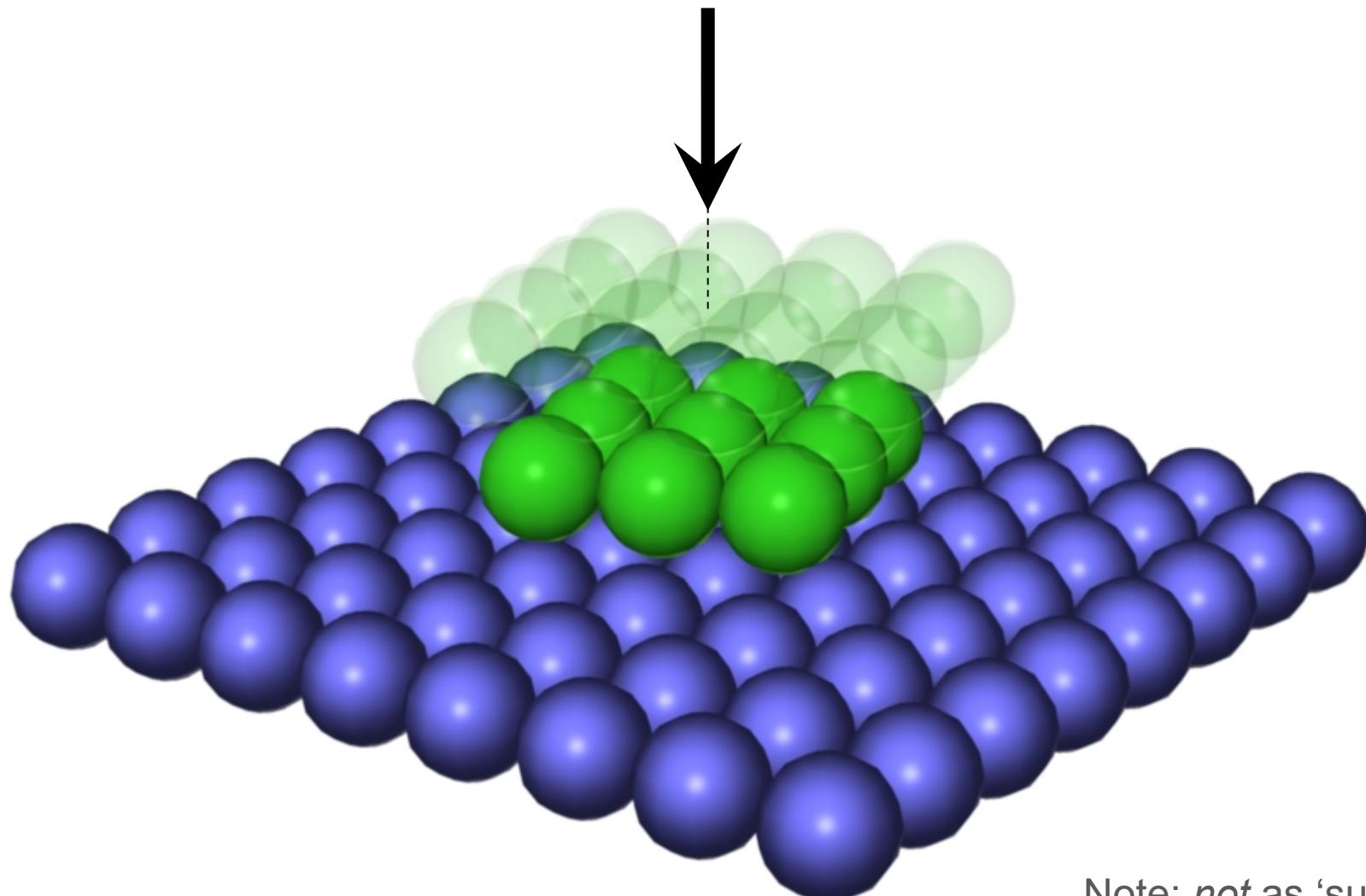
Two regimes:

$\gamma > 1$ dissipative stick-slip $\langle F \rangle \neq 0$

$\gamma < 1$ reversible motion
“superlubricity” $\langle F \rangle = 0$



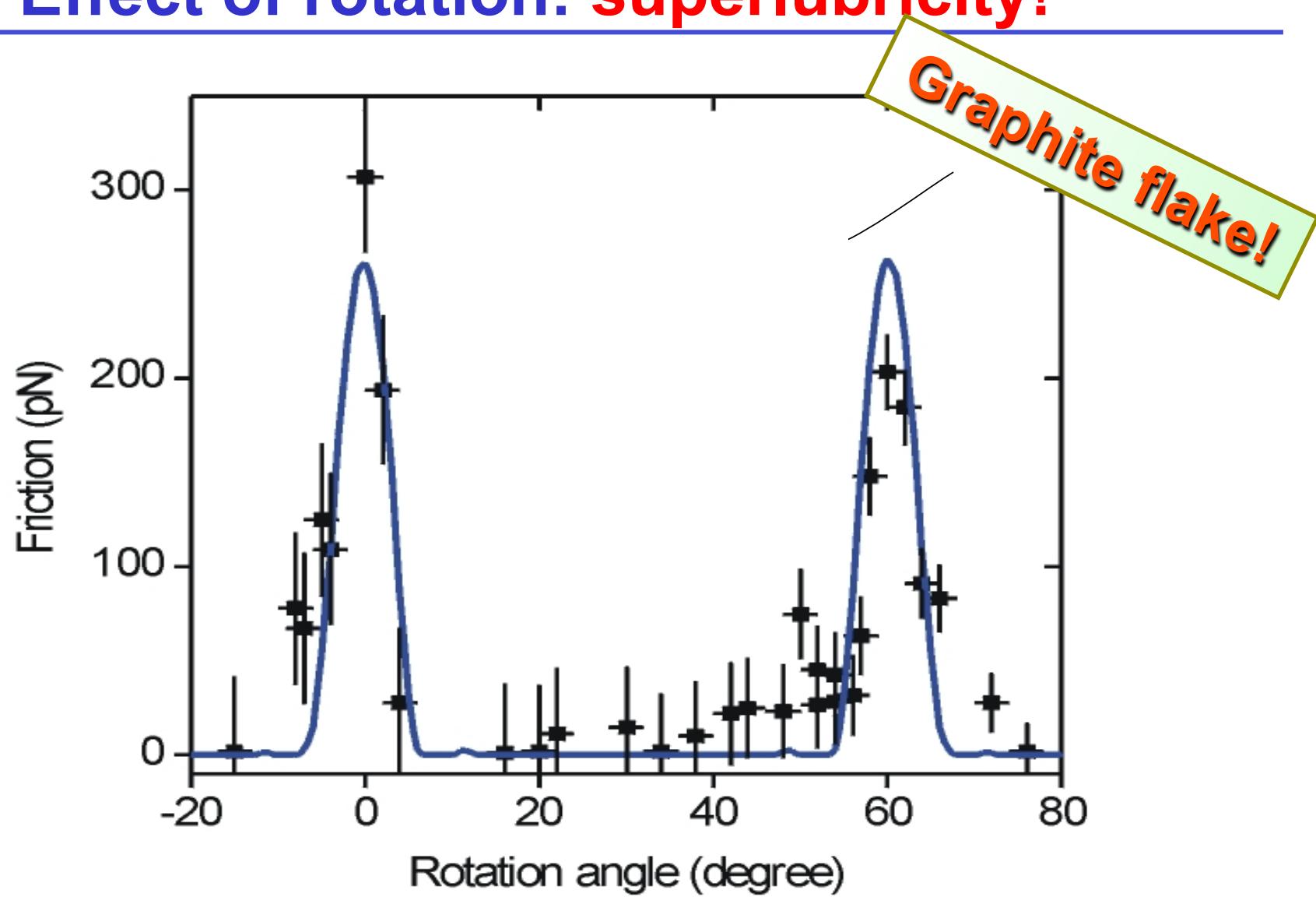
Orientational lubricity: ‘*Superlubricity*’



Hirano & Shinjo et al. (1990, 1993, 1997)

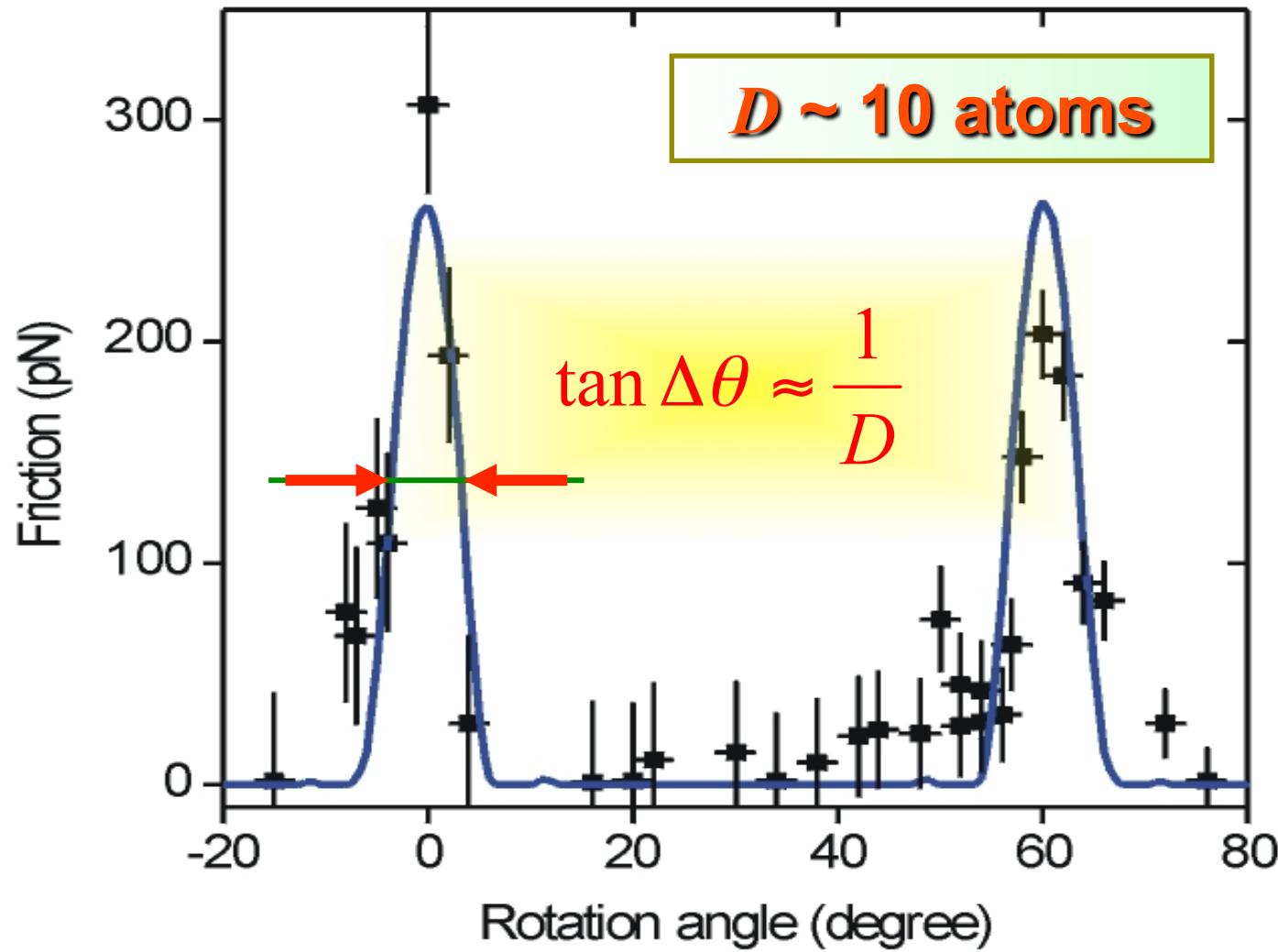
Note: *not* as ‘super’ as
superconductivity
or superfluidity

Effect of rotation: superlubricity!



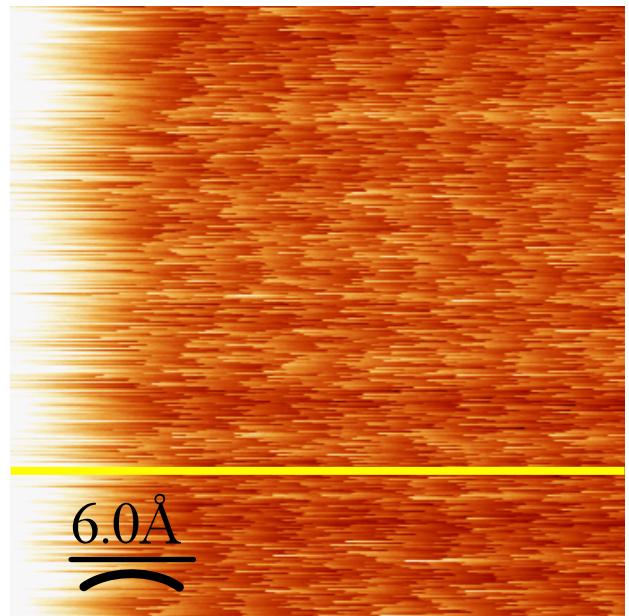
Dienwiebel et al., *PRL* **92** (2004) 126101

Width of the peak: flake diameter

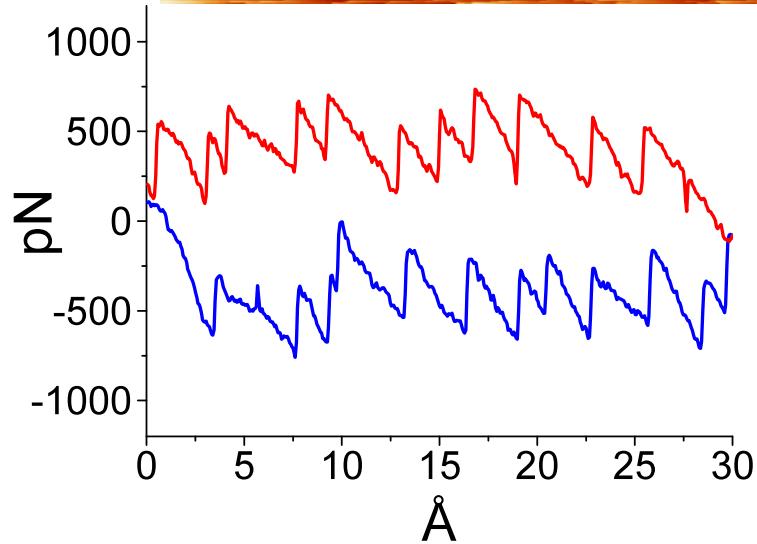
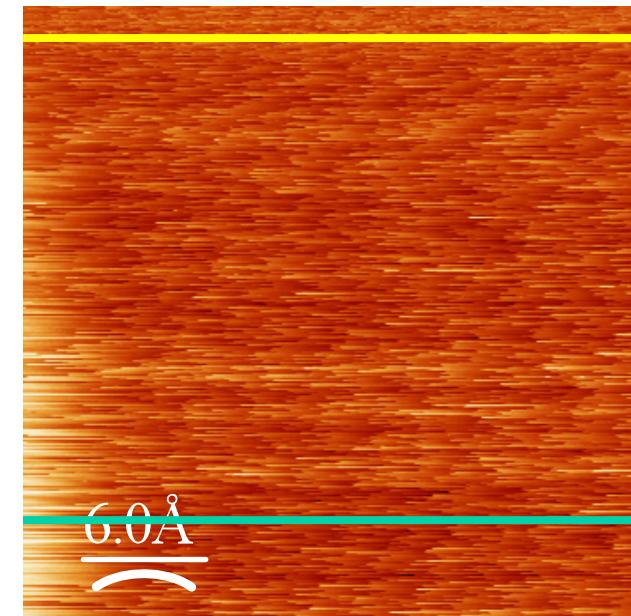
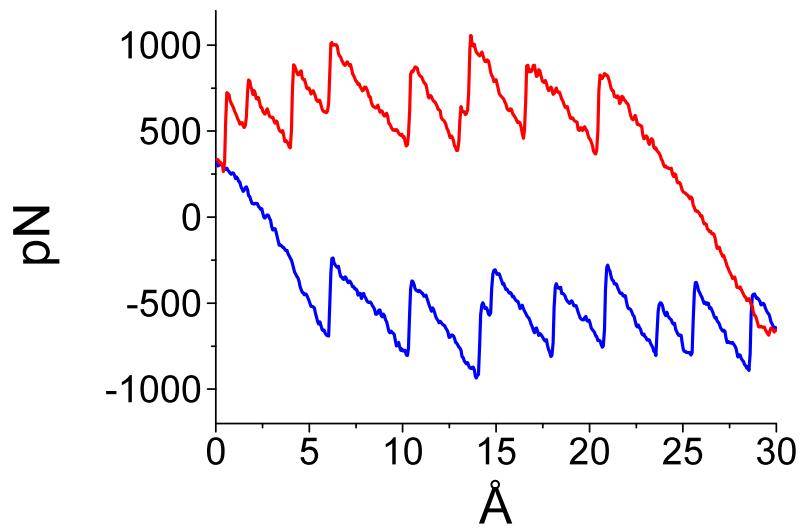
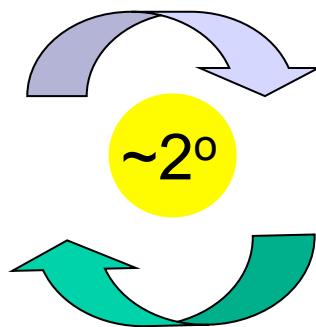


Dienwiebel et al., *PRL* **92** (2004) 126101

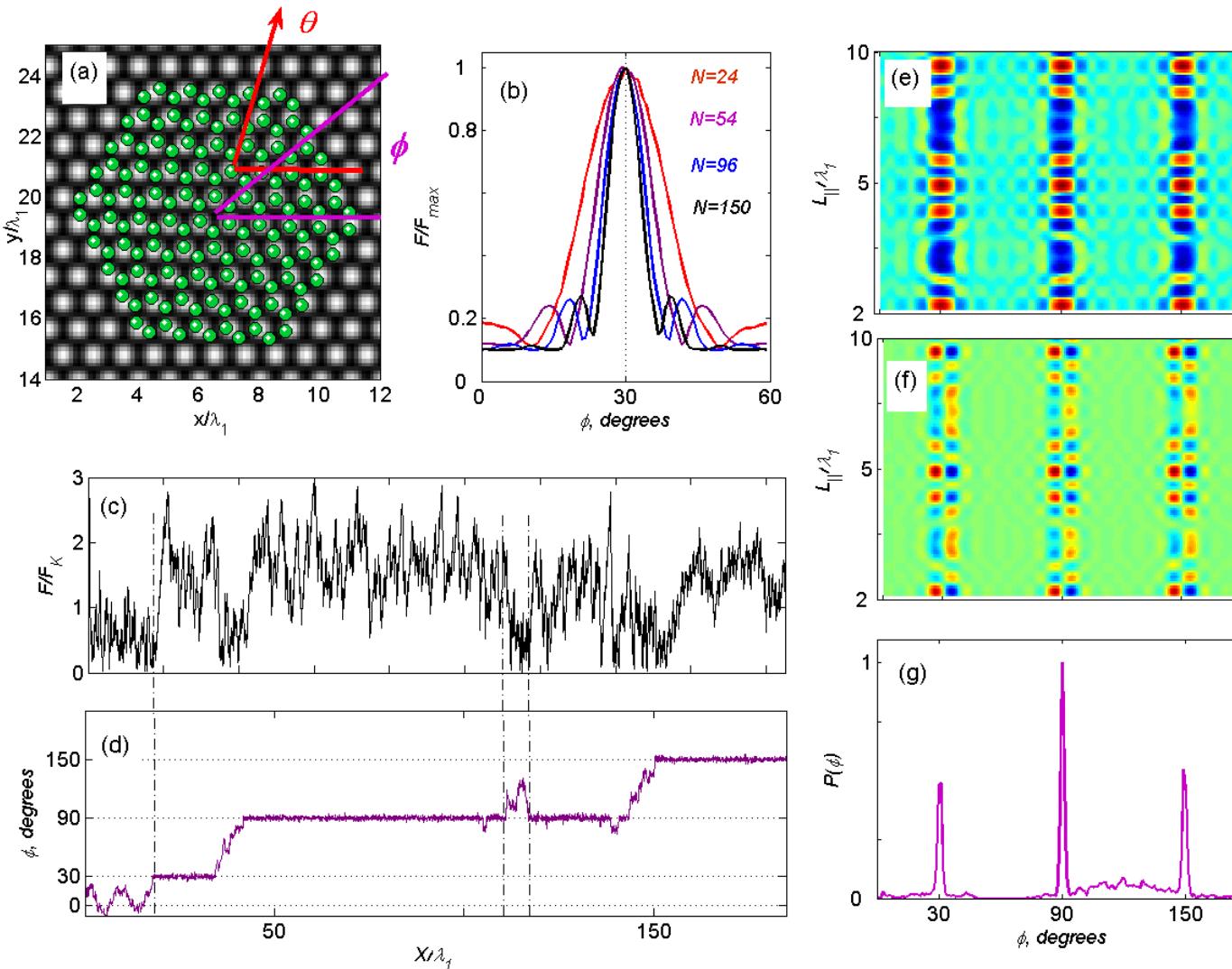
'Loose' flake



$F_N=5\text{ nN}$

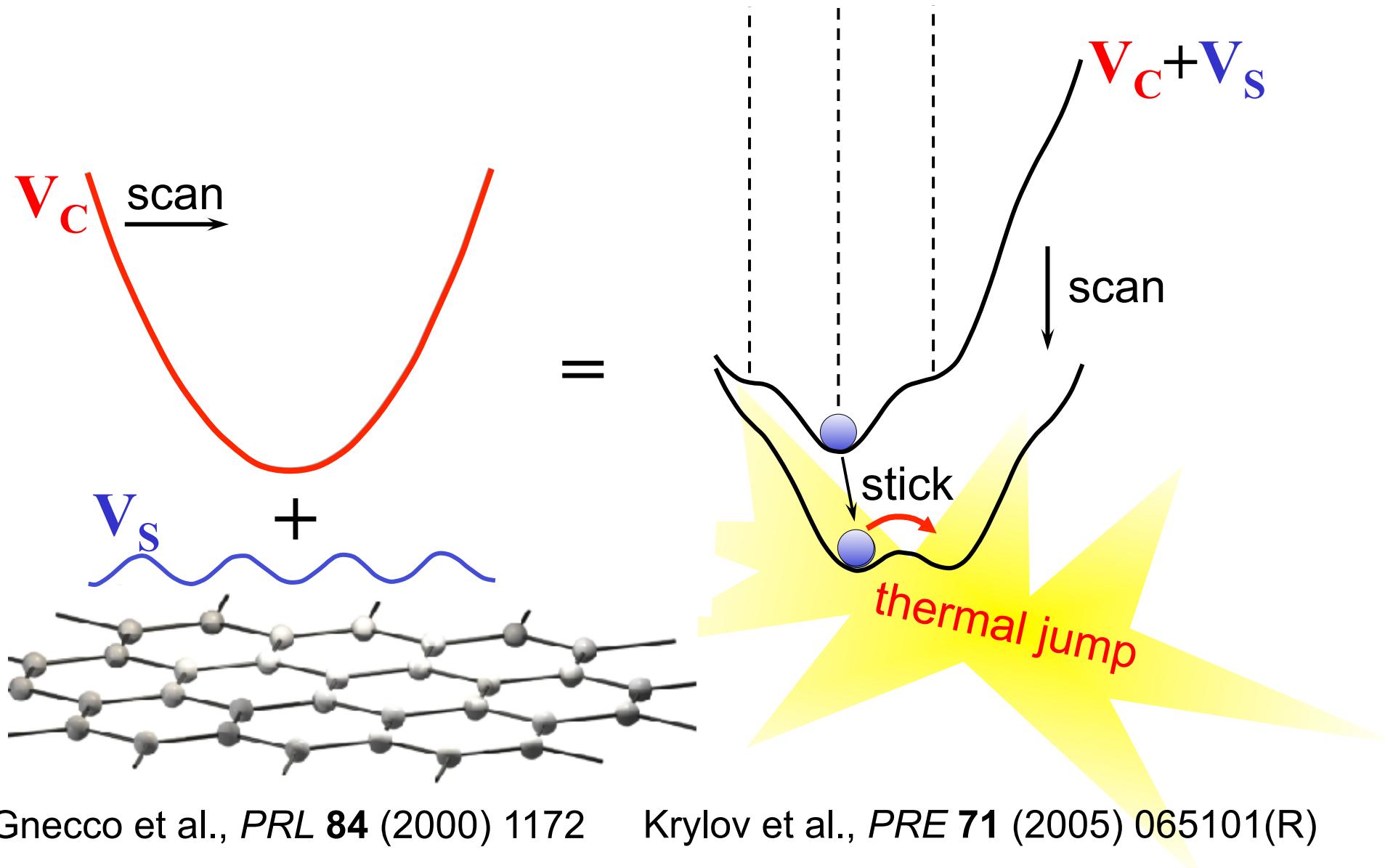


Effect of torque on freely rotating flake



Fillipov *et al.*, Phys.Rev.Lett. 100 (2008)

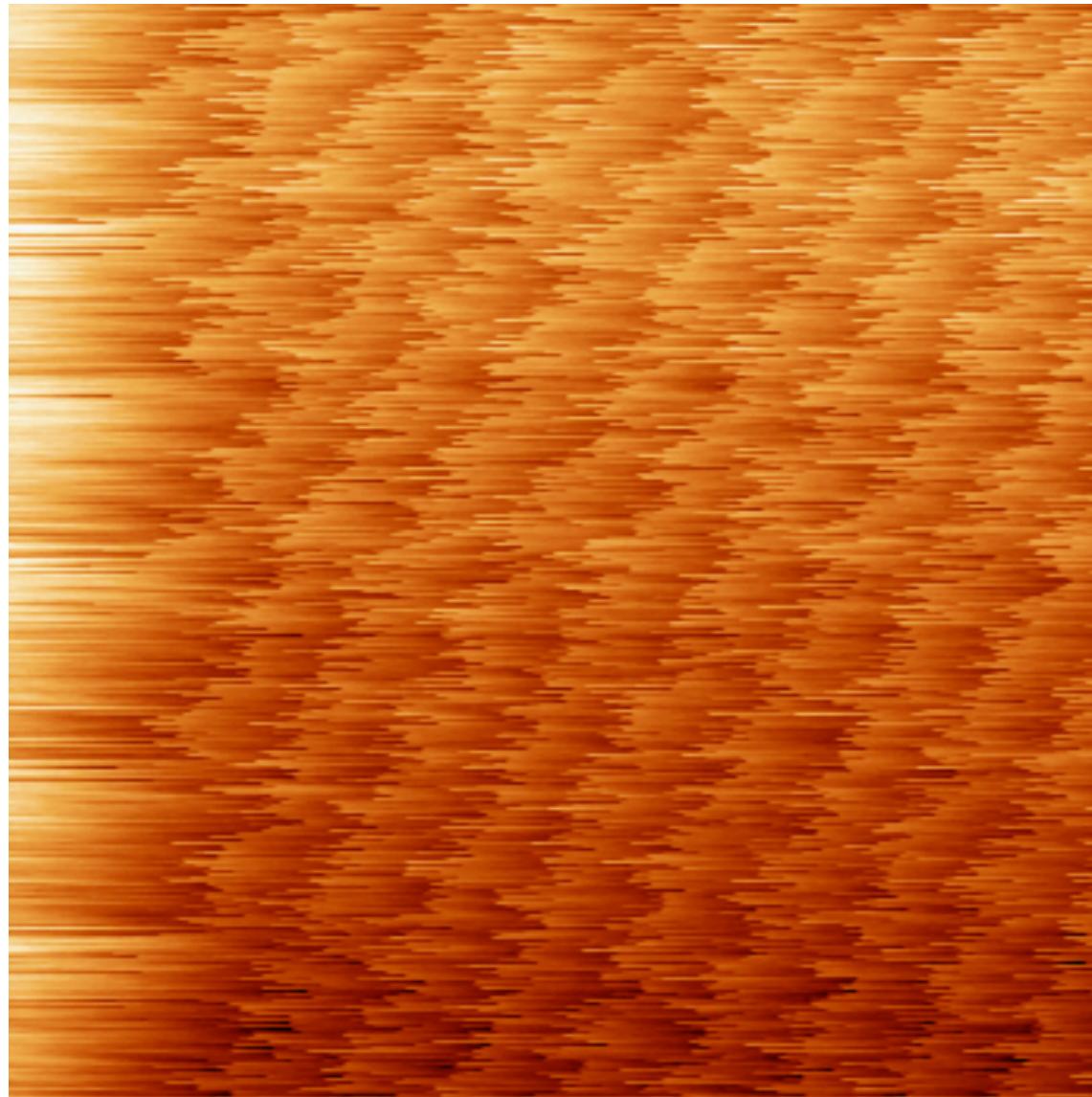
Thermal excitations!



Gnecco et al., *PRL* **84** (2000) 1172

Krylov et al., *PRE* **71** (2005) 065101(R)

Thermal noise in the experiment



Simple theory with temperature

$$V \frac{dp_i}{dX} = - (r_i^+ + r_i^-) p_i + r_{i-1}^+ p_{i-1} + r_{i+1}^- p_{i+1}$$
$$i = 2, 3, 4, \dots, i_{\max}$$

$$r_i^\pm = r_0 \exp\left(-\frac{U_i^\pm}{k_B T}\right)$$

p_i - probability to find the tip in well i

V - scanning velocity

X - support position

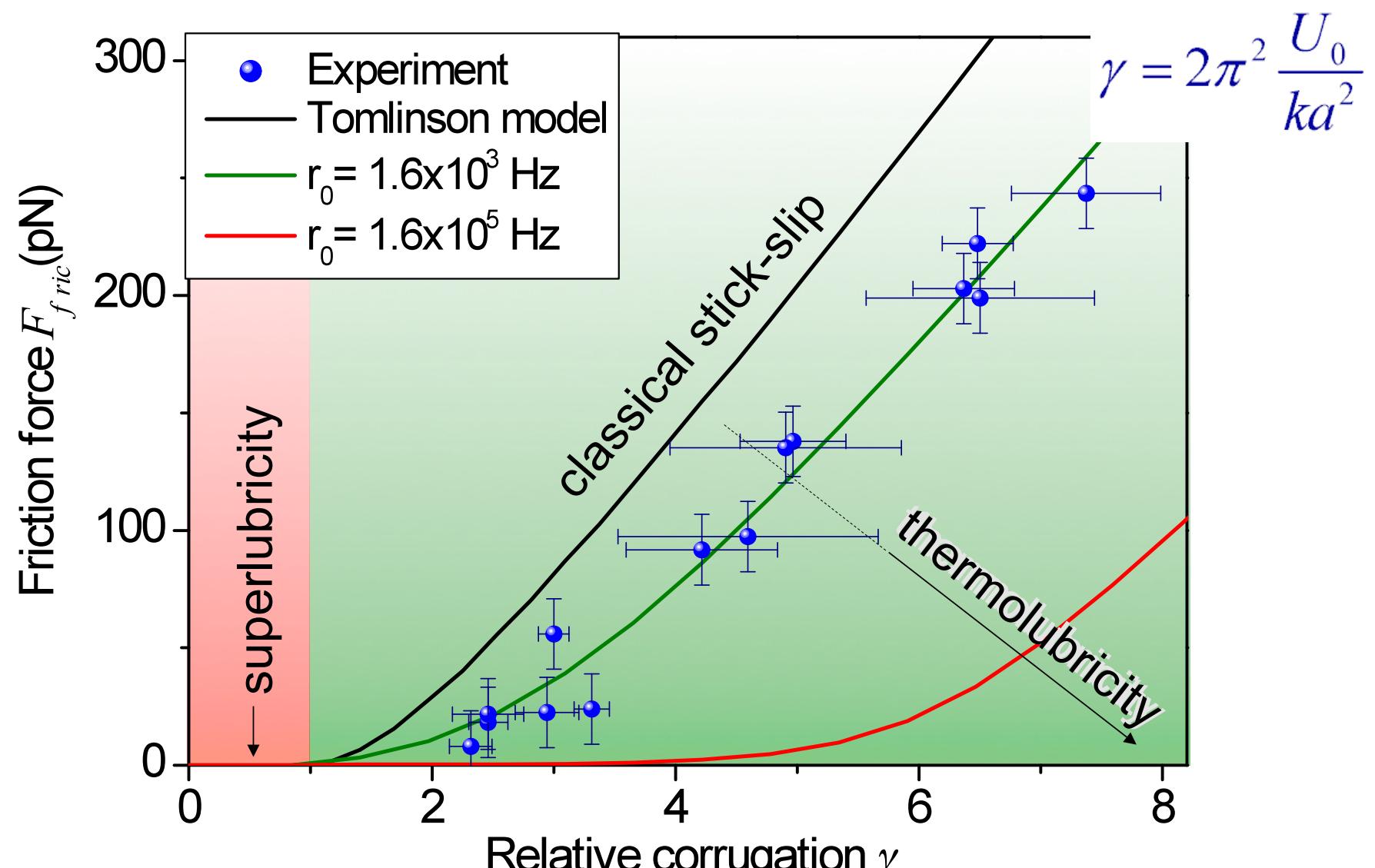
r_i^+ and r_i^- - rates of activated jumps to the right and to the left, resp.

$$r_0 = v \quad (\text{TST})$$

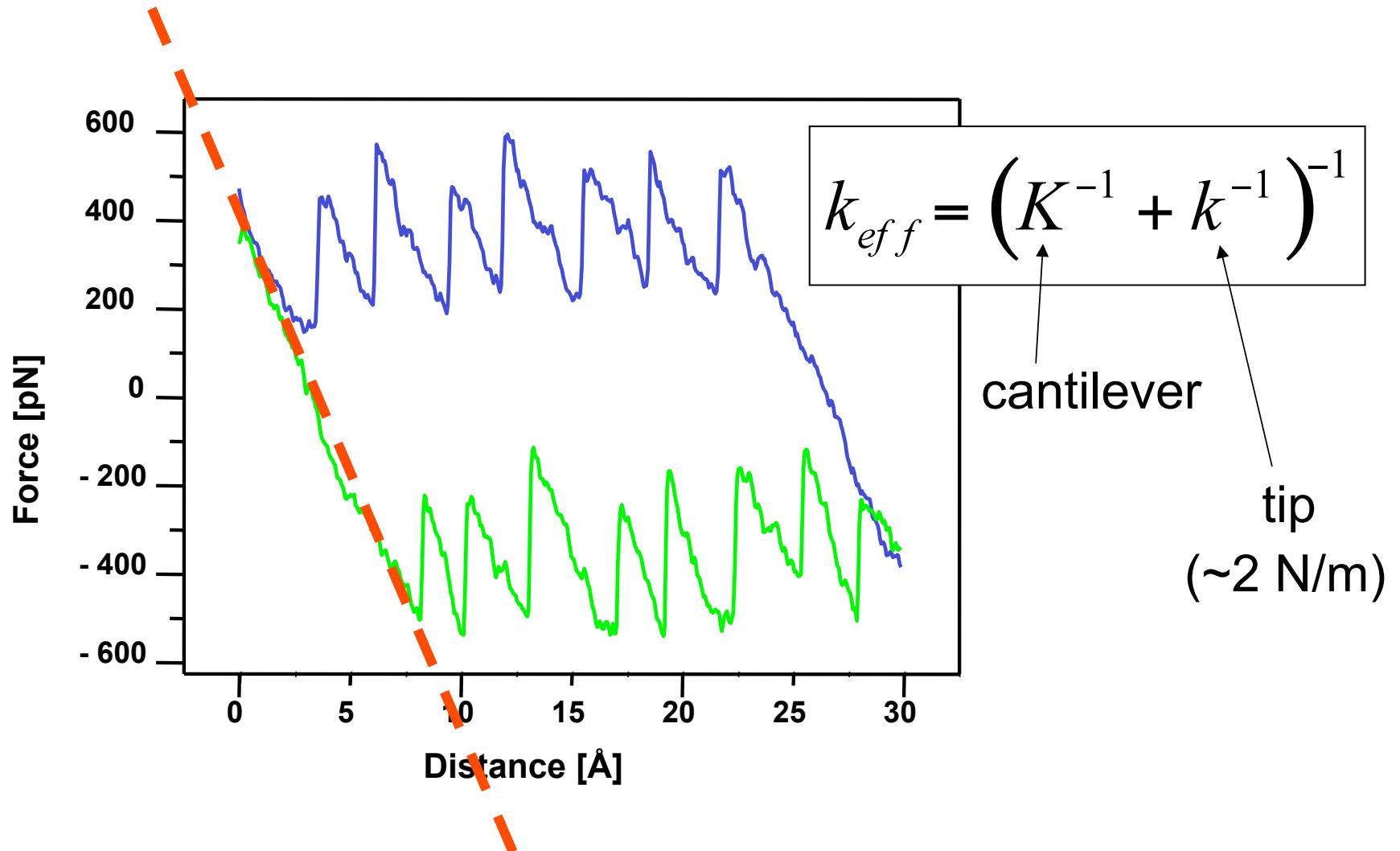
$$\begin{aligned} U_i^\pm(X) \\ v(X) \end{aligned}$$

Potential barriers are known functions of X

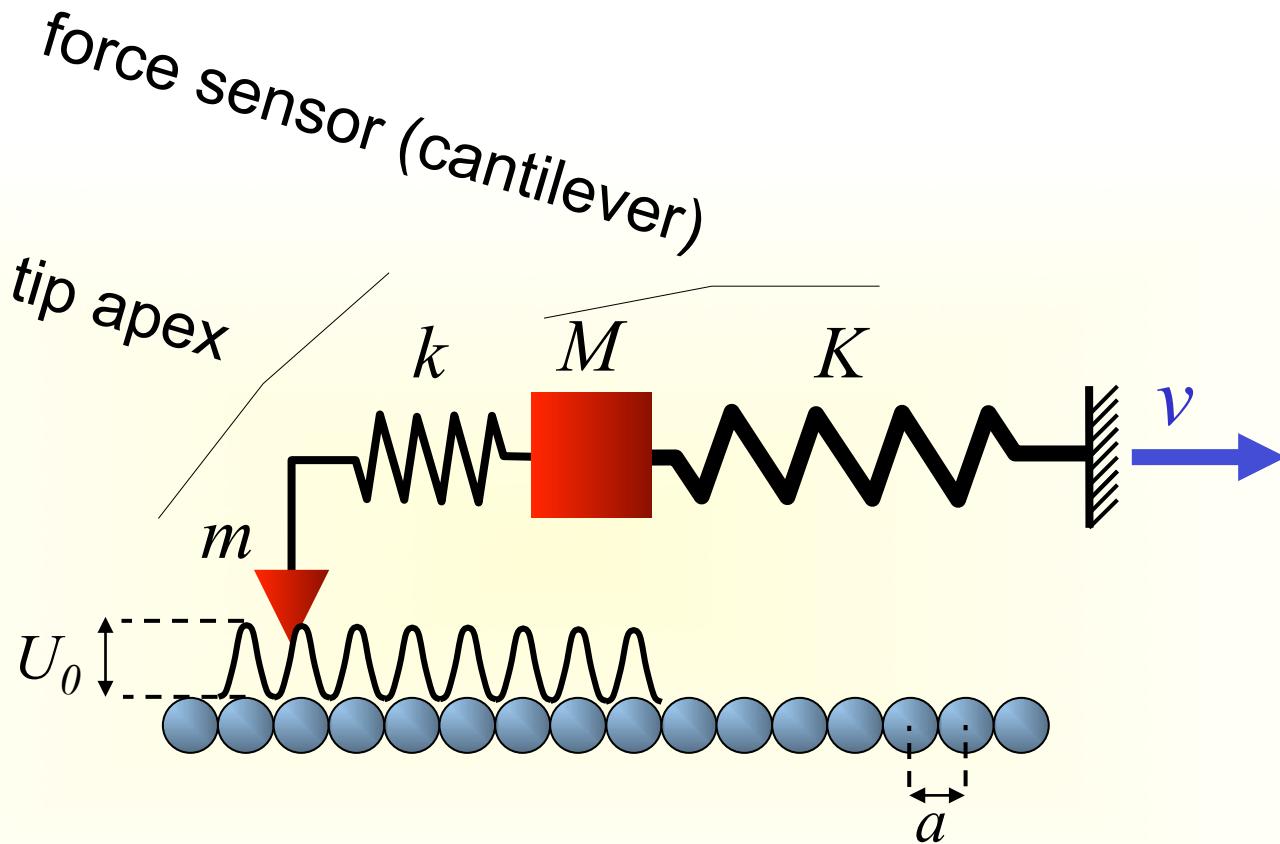
Thermolubricity



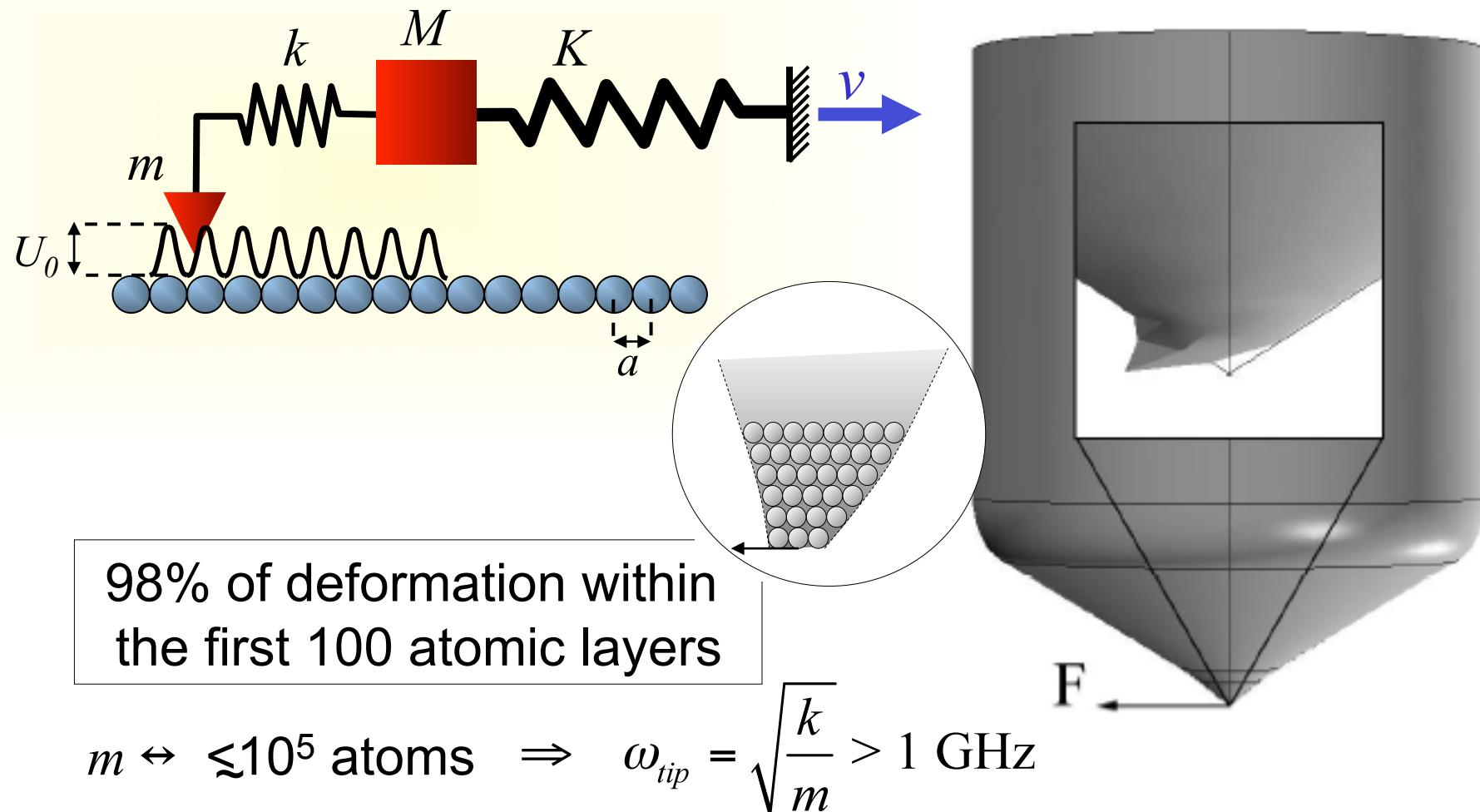
There's a second spring: the tip



There's a second spring: the tip



There's a second spring: the tip apex



D. Abel et al., *Phys. Rev. Lett.* **99**, 166102 (2007)

S.Yu. Krylov et al., *Phys. Rev. Lett.* **97**, 166103 (2006)

Two-mass–two-spring model

Total potential:

$$U(X, x, t) = \frac{K}{2}(Vt - X)^2 + \frac{k}{2}(X - x)^2 + U_s(x)$$

↑ ↑ ↑
support position cantilever position tip position

Problem: ultra-slow motion of M and ultra-fast motion of m

Trick: combine Langevin dynamics for M :

$$M\ddot{X} = -k[X - x_i(X)] - K(X - Vt) - M\eta\dot{X} + \xi$$

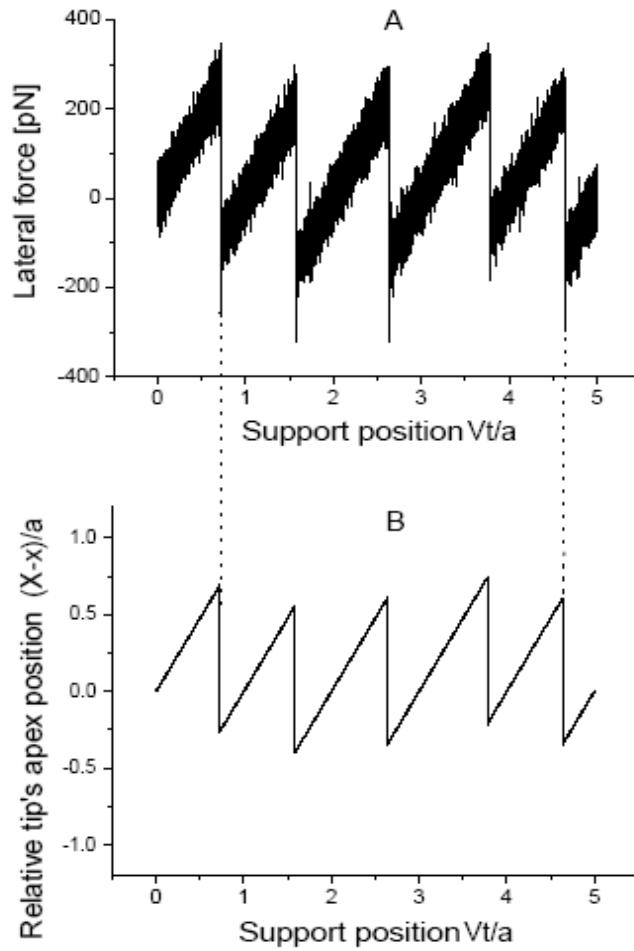
with Monte Carlo dynamics for m :

$$r_{ij} = r_0 \exp(-U_{ij}/k_B T)$$

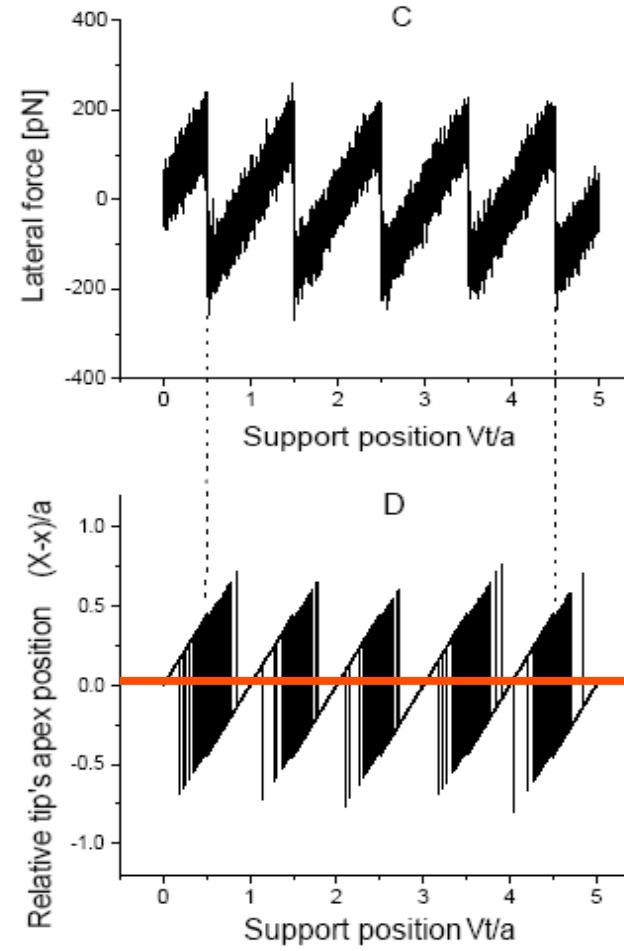
“Stuck – in – slipperiness” regime

cantilever

$$U_0 = 0.60 \text{ eV}$$



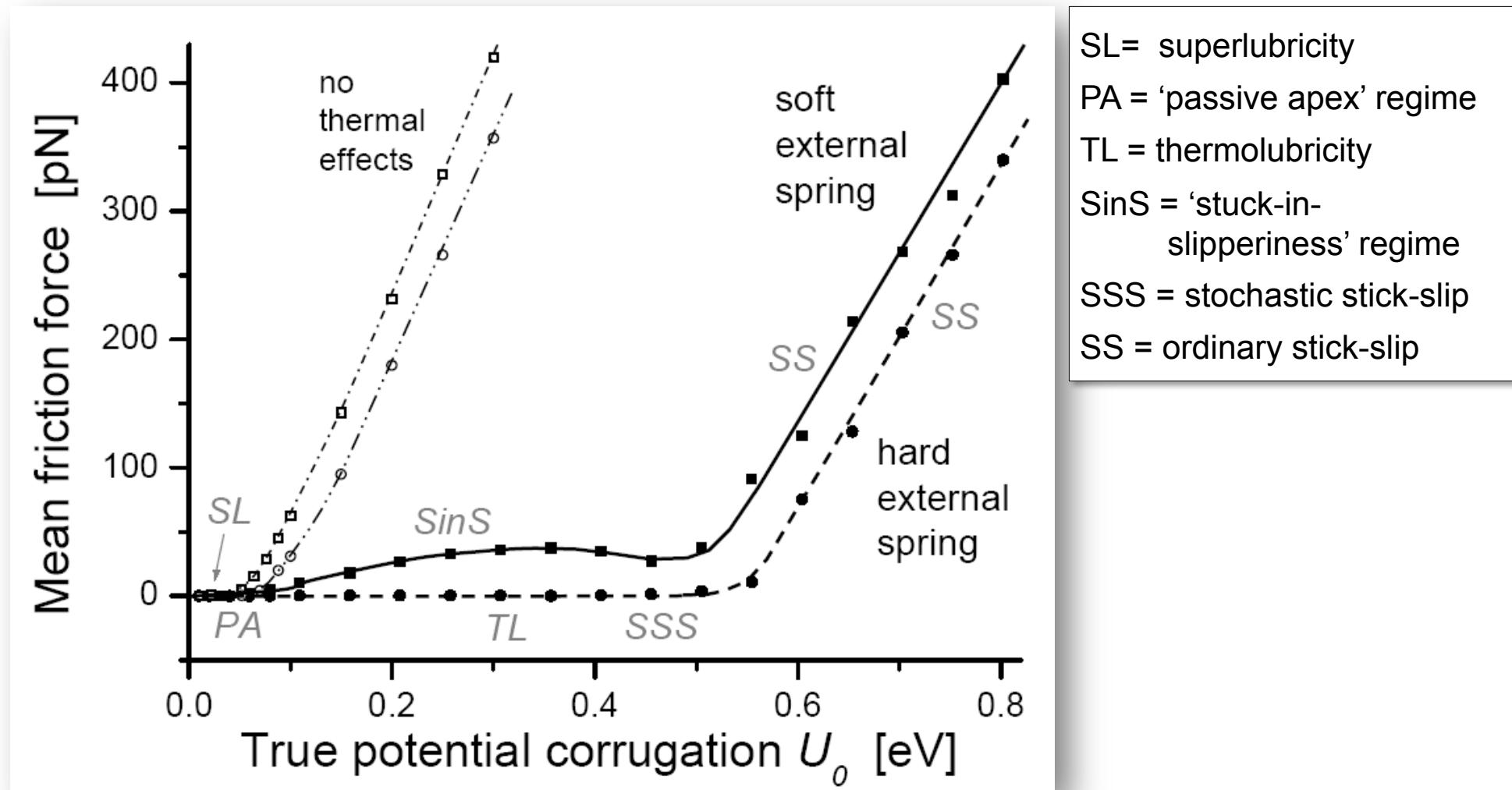
$$U_0 = 0.25 \text{ eV}$$



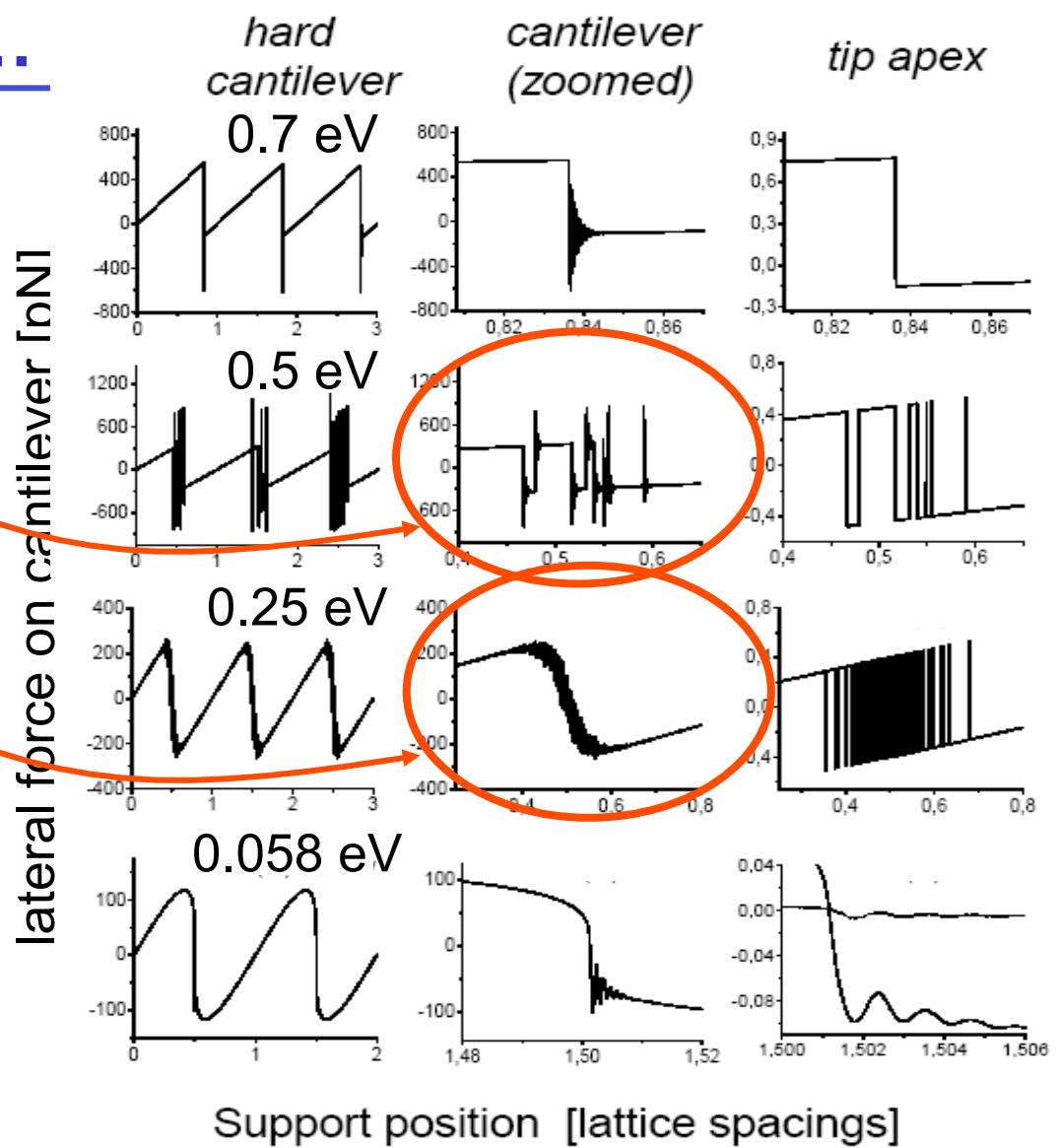
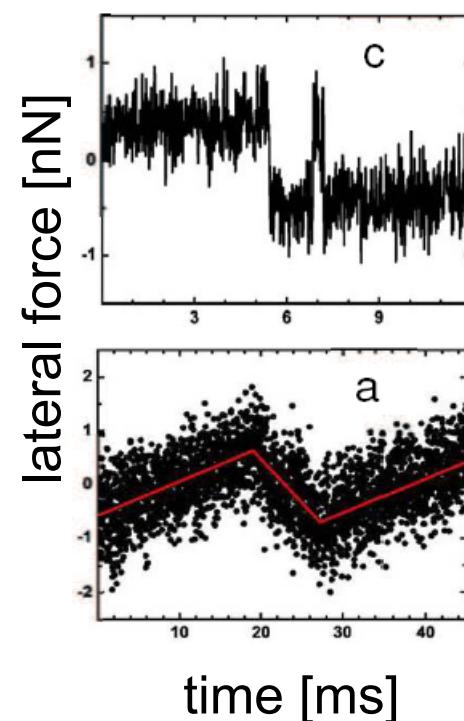
$K = 6 \text{ N/m}$
$k = 2 \text{ N/m}$
$M = 10^{-9} \text{ kg}$
$m = 10^{-21} \text{ kg}$
$a = 0.25 \text{ nm}$
$V = 3 \text{ nm/s}$
$T = 300 \text{ K}$

zero average

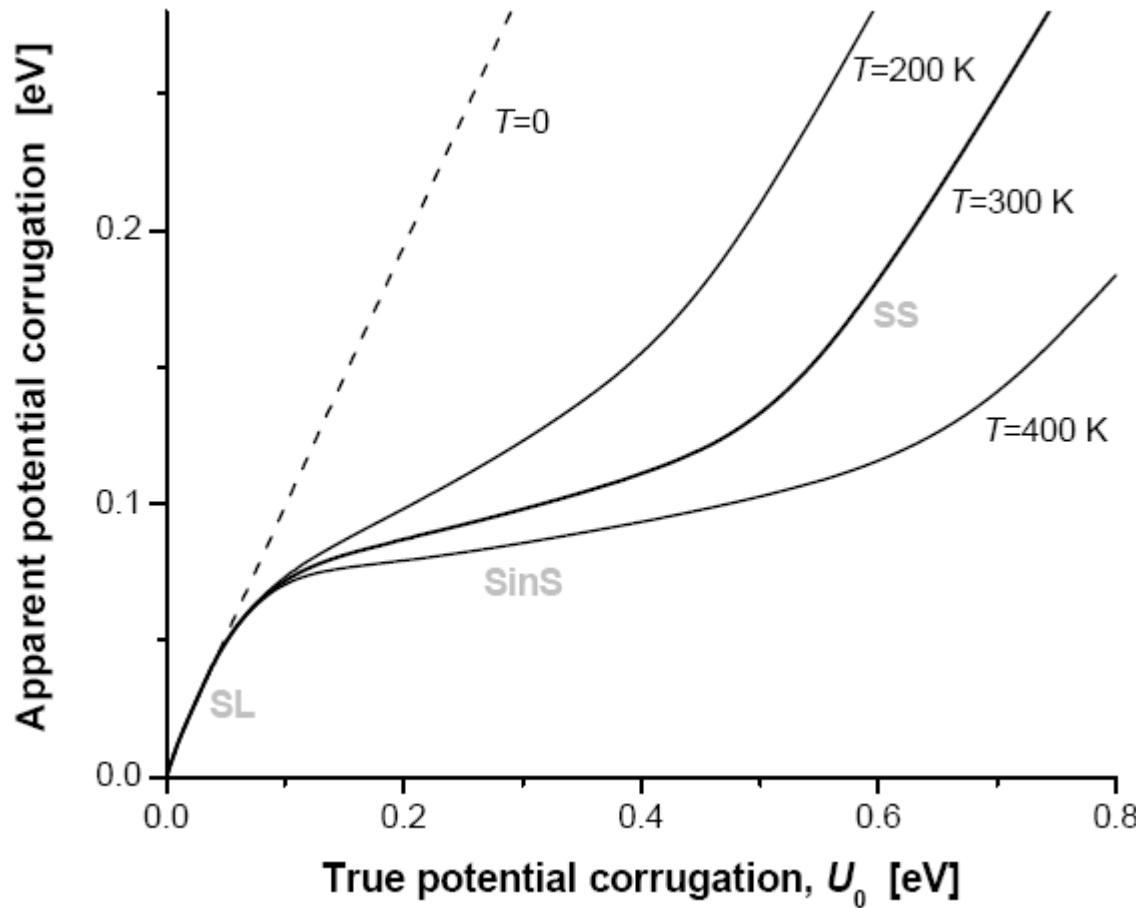
'Zoo' of regimes in FFM experiments



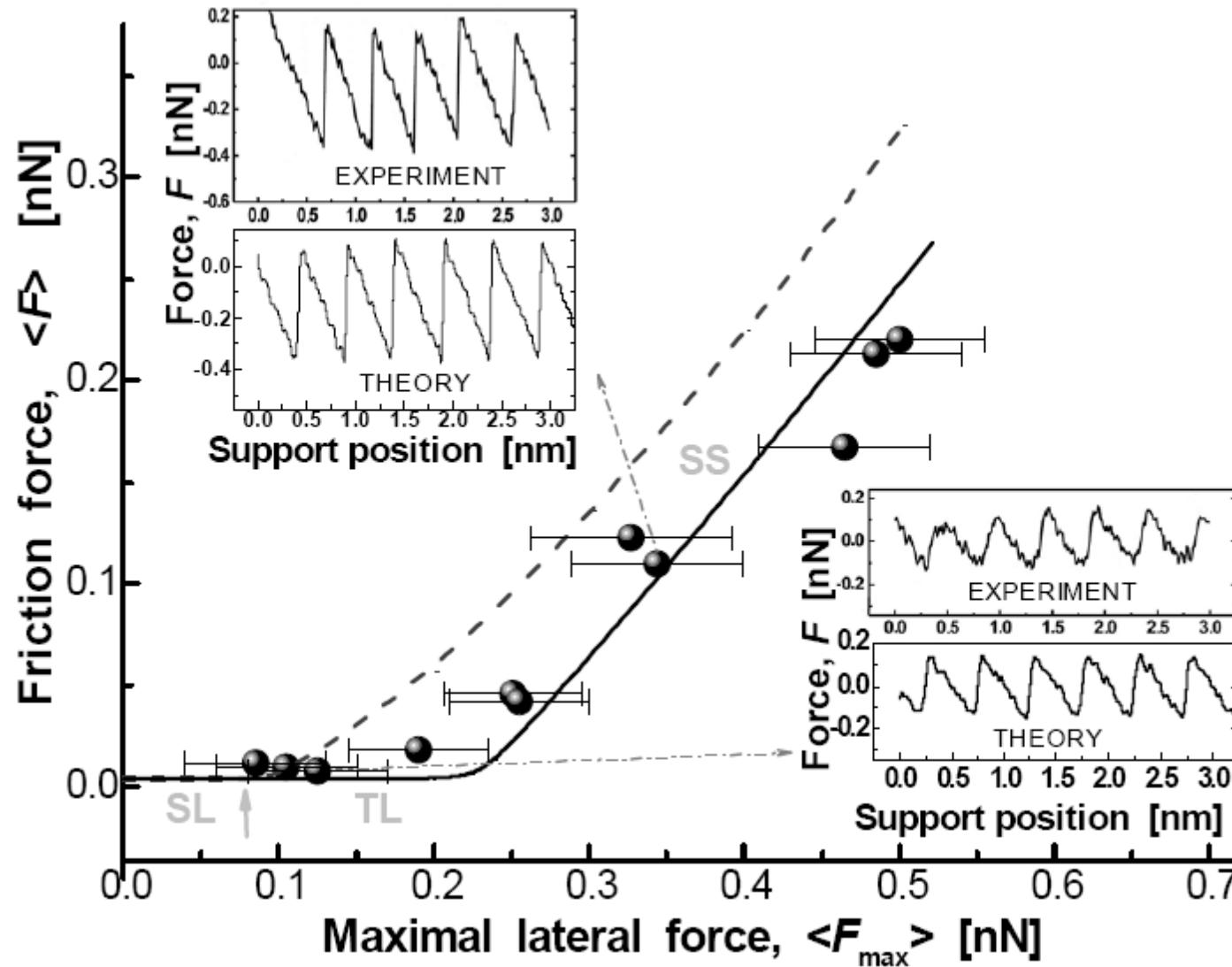
Indirect signs...



Thermal effects are also dramatic for strong potentials



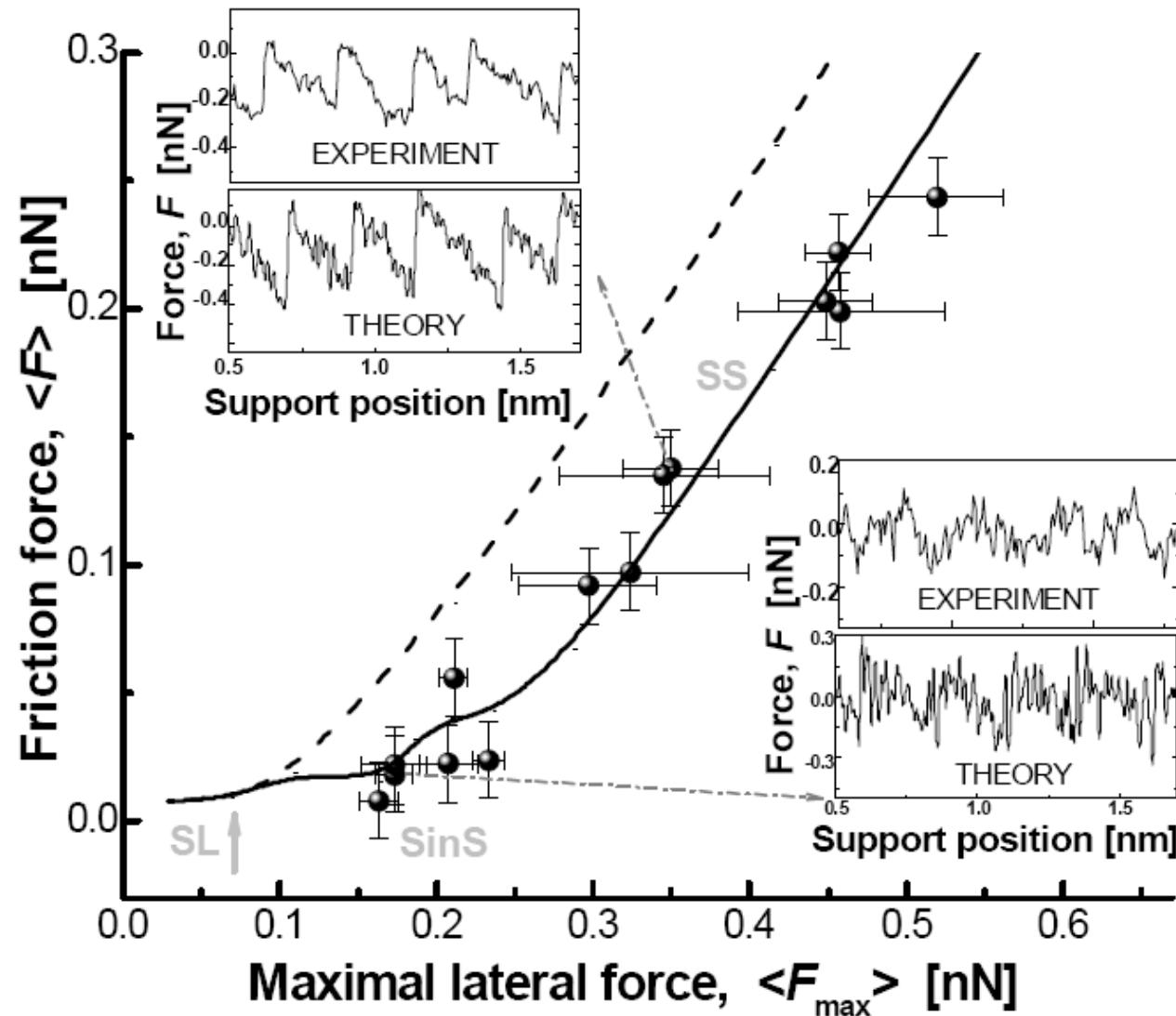
'Universal' behavior: hard cantilever



data: Socoliu et al., PRL **92**, 134301 (2004)

Krylov et al., PR B **80**, 235435 (2009)

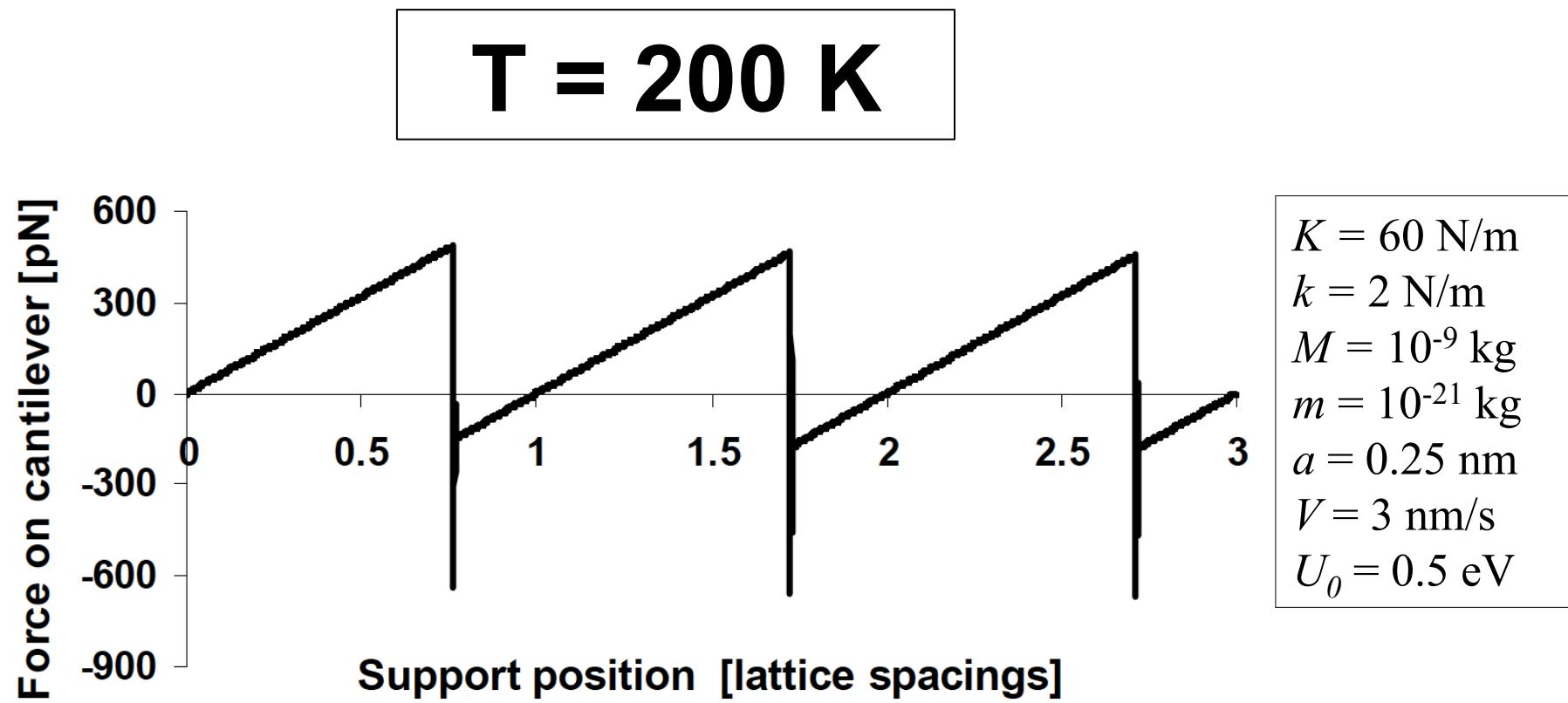
'Universal' behavior: soft cantilever



data: Dienwiebel et al., *PRL* **92**, 126101 (2004)

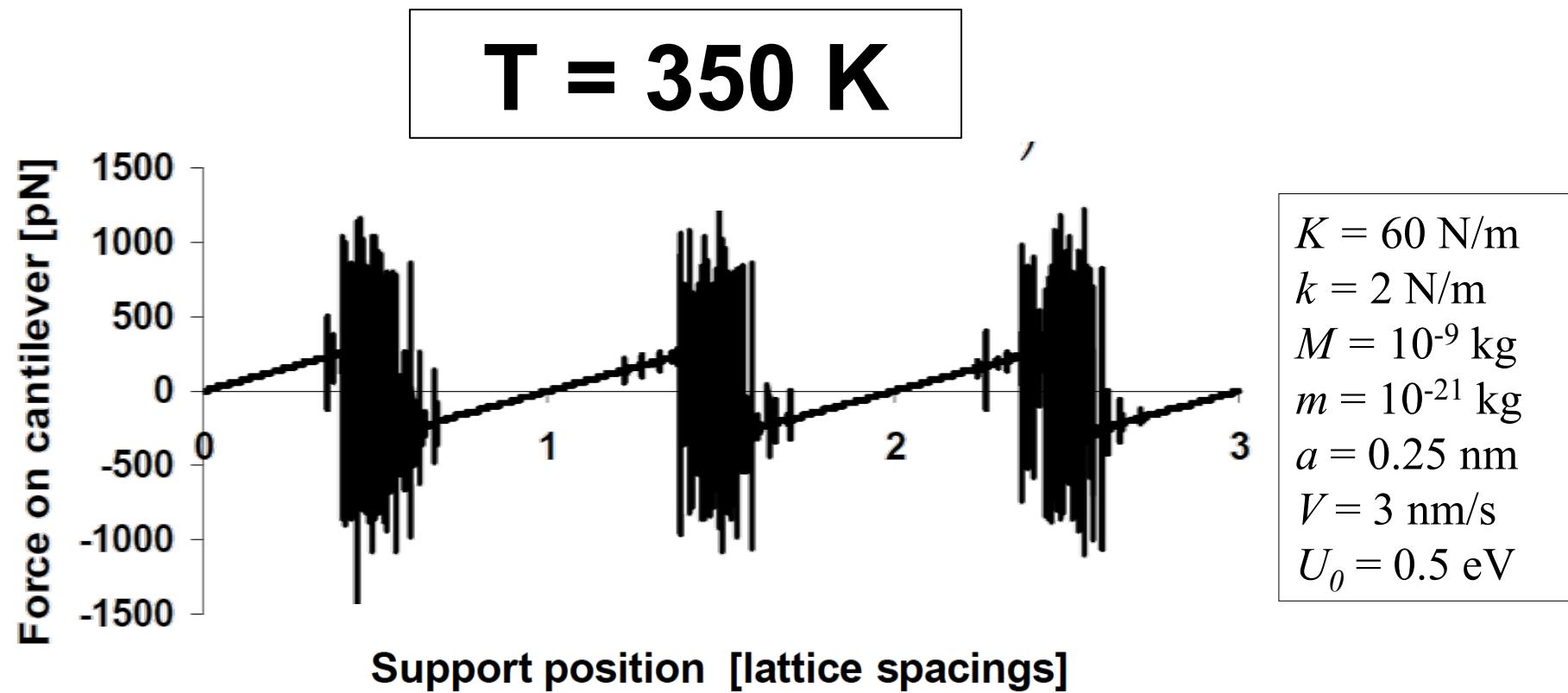
Krylov et al., *PR B* **80**, 235435 (2009)

Temperature dependence of sliding character



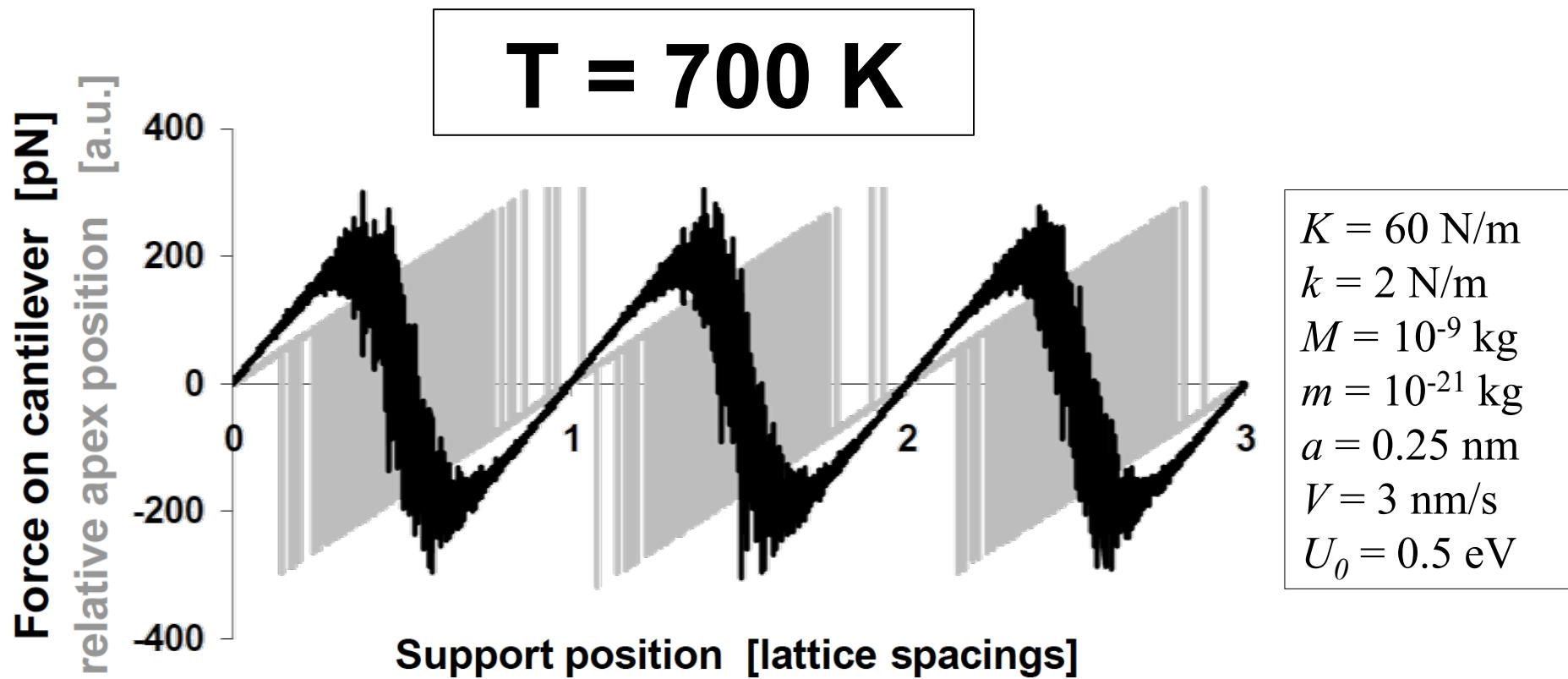
ordinary stick-slip

Temperature dependence of sliding character



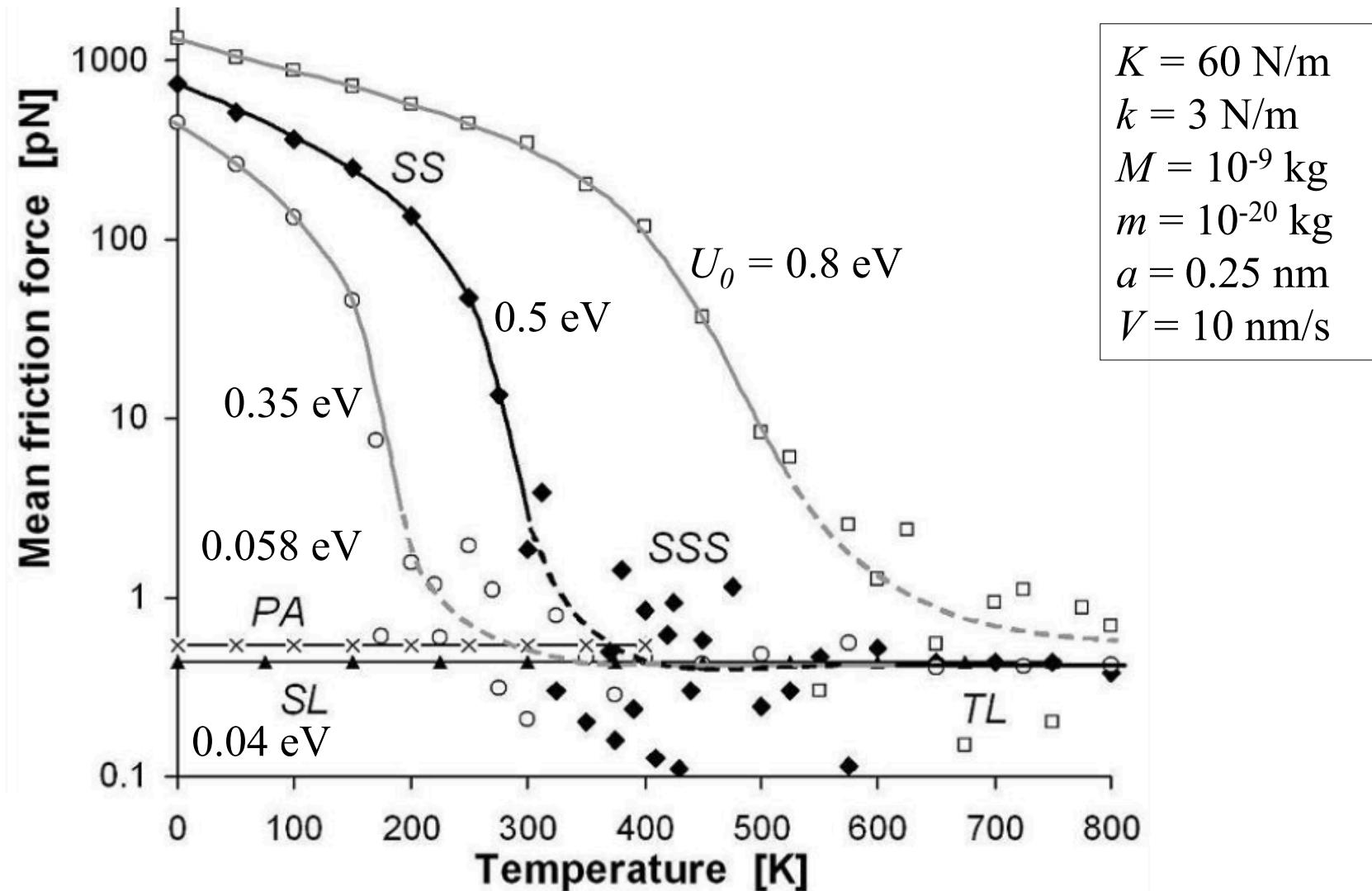
stochastic stick-slip

Temperature dependence of sliding character

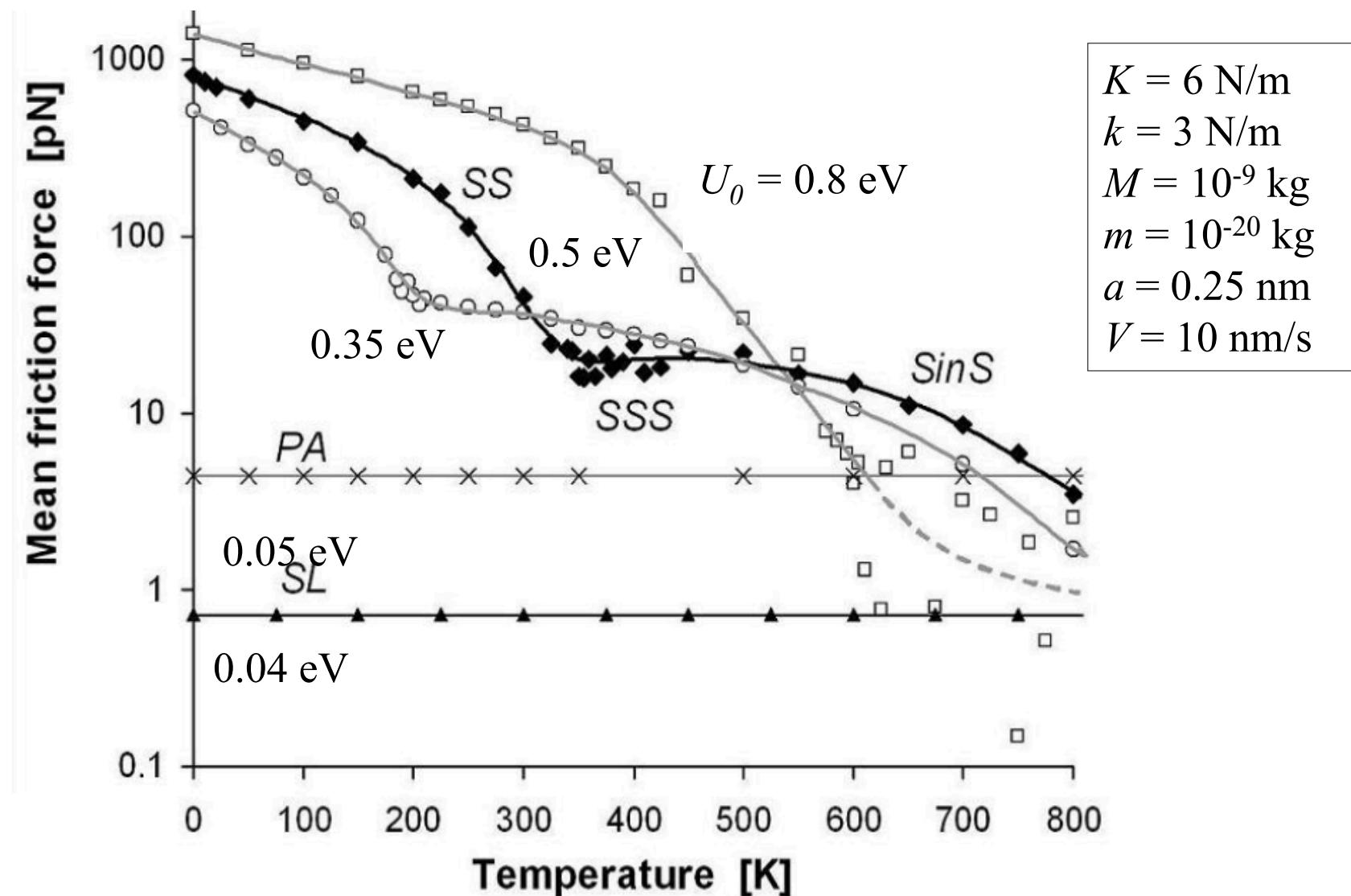


thermolubricity

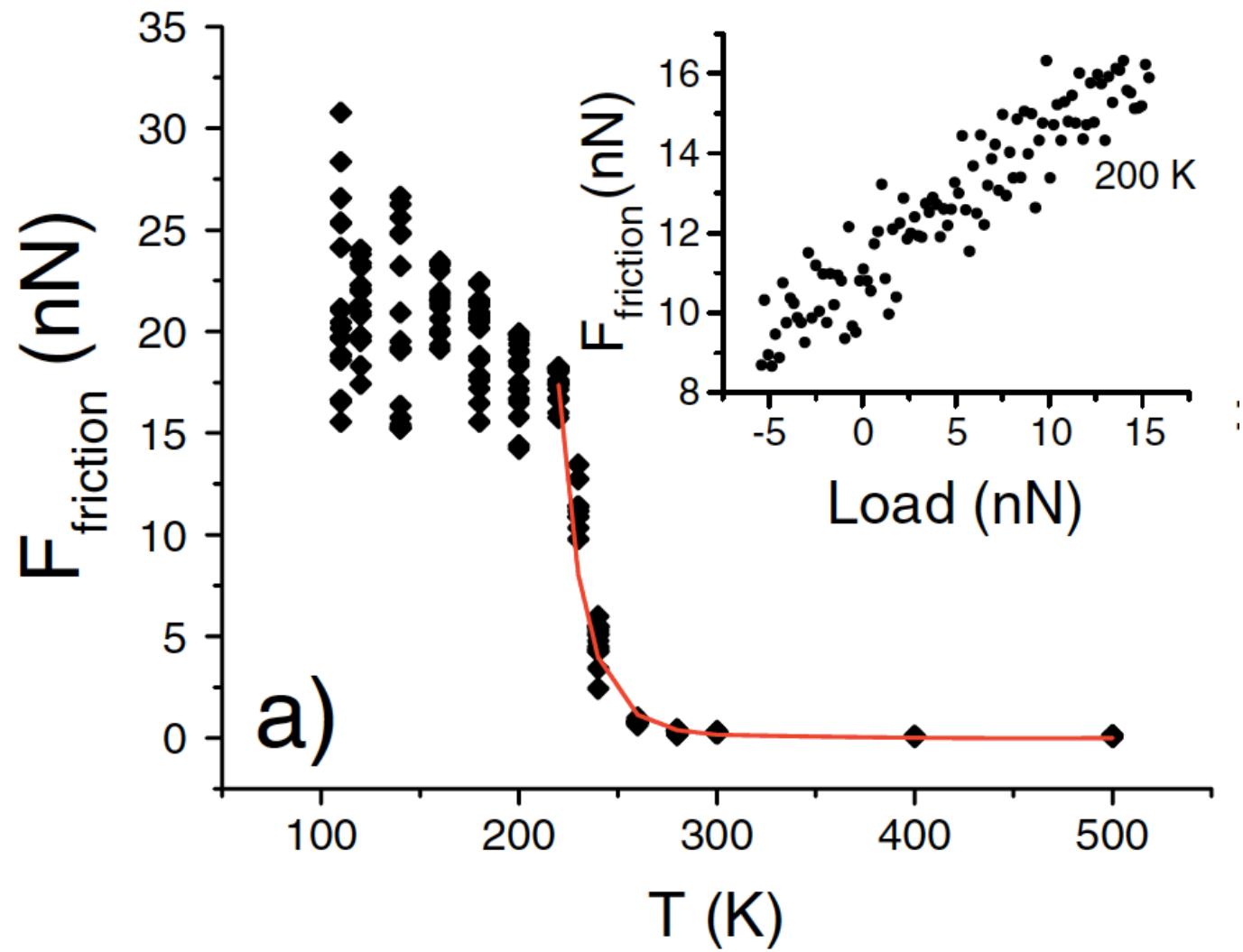
Temperature dependence: hard cantilever



Temperature dependence: soft cantilever



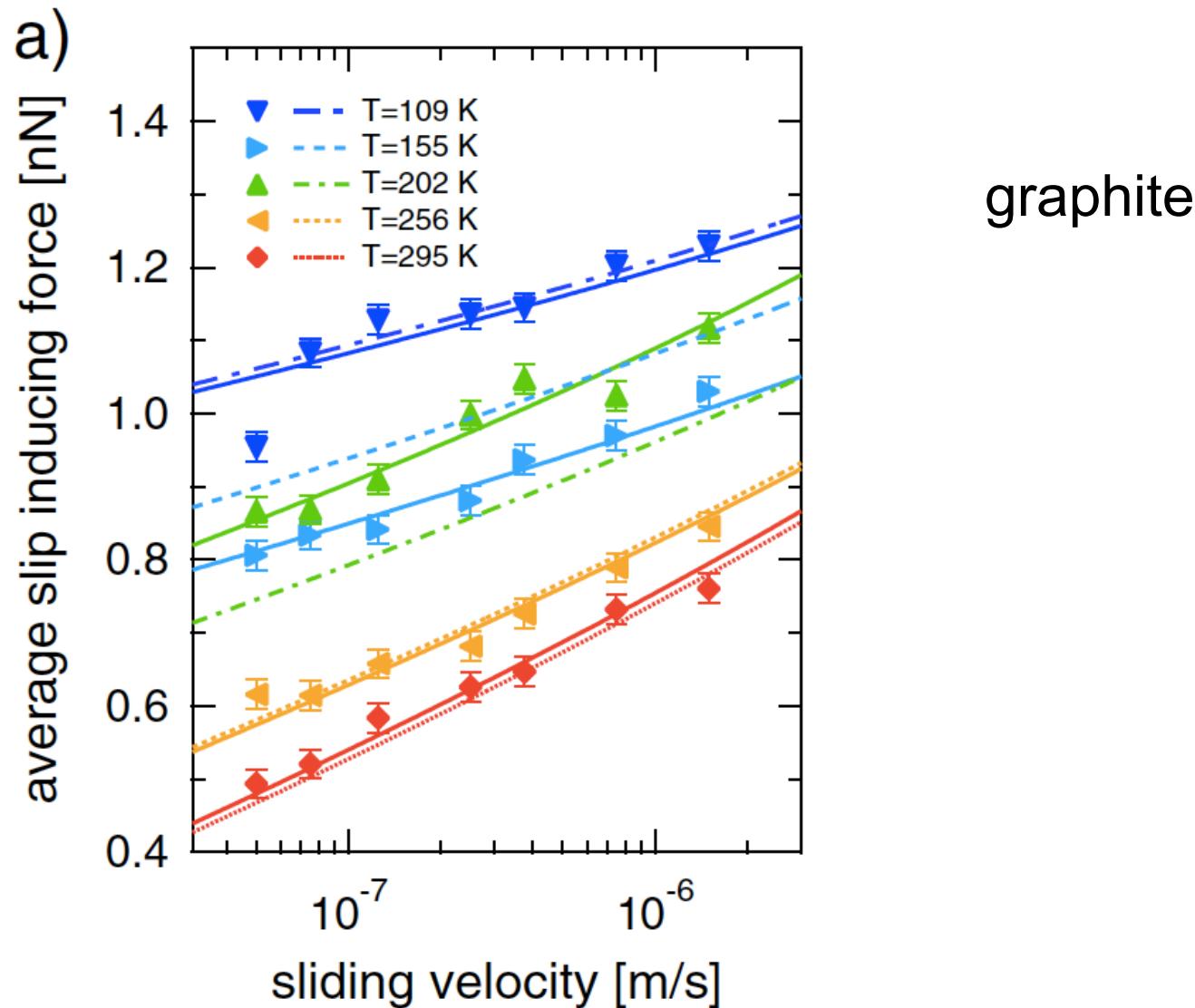
Experimental temperature dependences



Si_3N_4 tip on basal plane MoS_2

Zhao et al., *PRL* **102**, 186102 (2009)

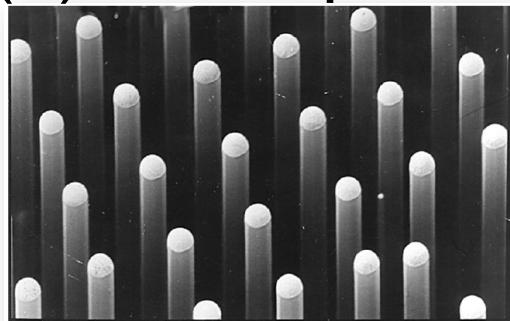
Experimental temperature dependences



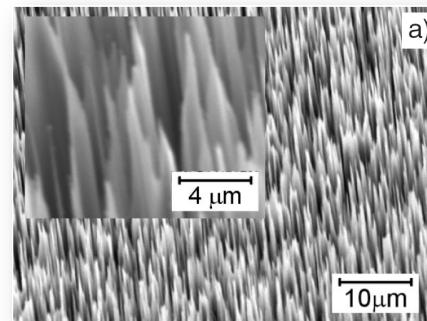
Outlook: scaling up thermolube?

- **No:** larger contacts have larger stiffness...
- **Yes (*maybe*):** if we play tricks

(1) multi-tip interfaces



*silicon whiskers formed
by vapor-liquid-solid
growth*



*silicon ‘nanograss’
formed by anisotropic
etching*

(2) graphene-covered surfaces

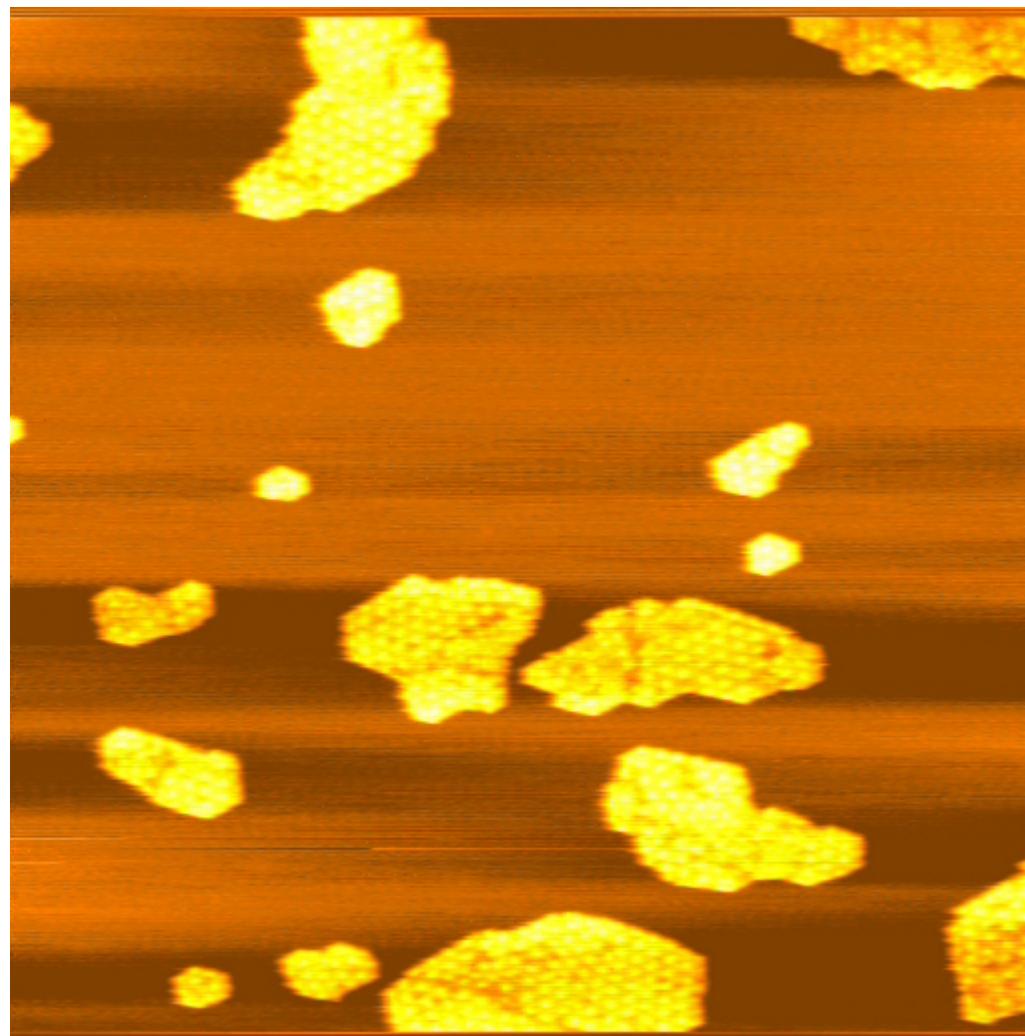
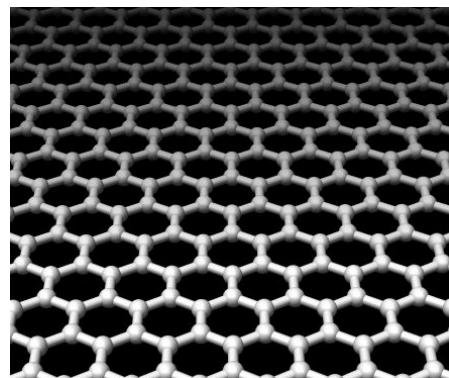
Outlook: towards ‘perfect’ graphene

High-temperature STM movie

G. Dong et al., *to be publ.*

[similar study of *h*-BN:
PRL 104, 096102 (2010)]

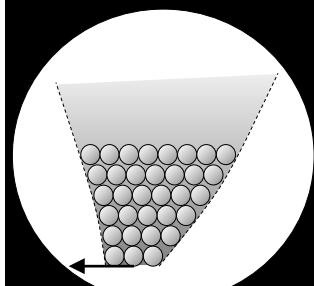
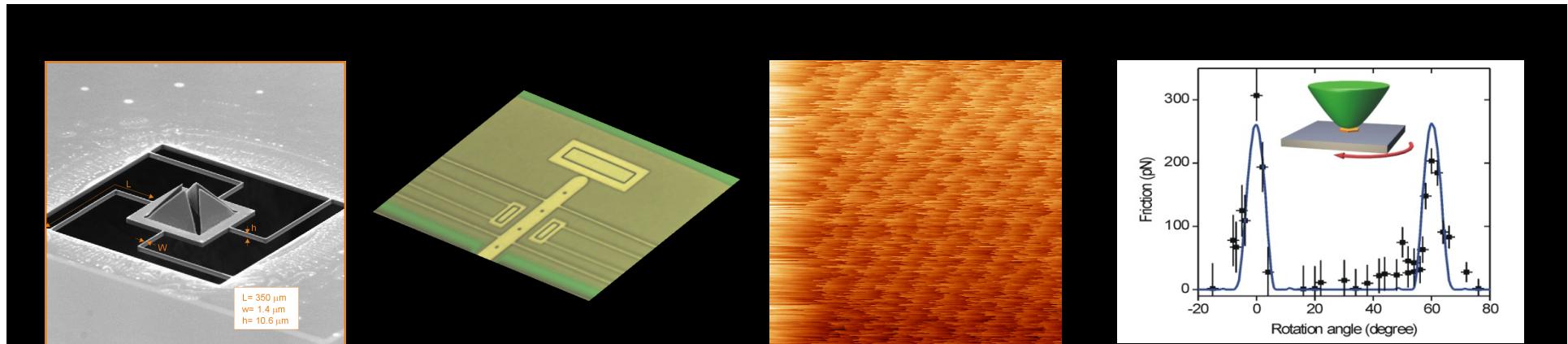
RT \Rightarrow 975K.
Rh(111) surface,
exposed to C₂H₄
 $3 \times 10^{-9} \rightarrow 1 \times 10^{-8}$ mbar



Summary

- Proper FFM description: *two springs* with two very *different masses* and *time scales* plus *thermal excitations*
- ‘Zoo’ of friction regimes
- Measuring ‘stick-slip’ doesn’t guarantee that the contact performs stick-slip...
- Non-trivial temperature dependence
- Many FFM measurements may be affected

Collaborators: Sergey Krylov (Inst. Phys. Chem., Moscow), Daniel Abel,
Hugo Valk, Joshua Dijksman



www.interfacephysics.nl
www.realnano.nl
www.ultramicroscopy.org

