

# Radiation damage in the electronic regime

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**SiMAF**: Simulations in  
Materials Science,  
Astrophysics, and Physics

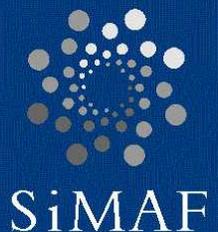
<https://sites.google.com/site/simafweb>

Non-adiabatic  
dynamics and  
radiation damage in  
nuclear materials

ICTP-IAEA, Trieste  
November 2011

## COLLABORATORS:

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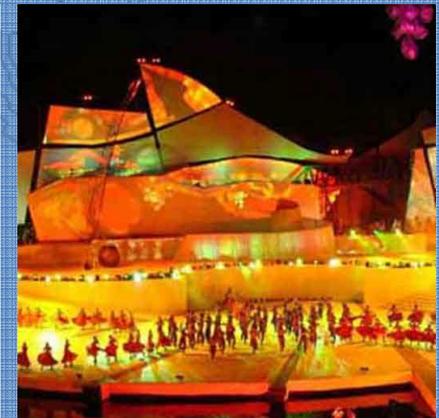


# MENDOZA, LAND OF THE SUN AND THE GOOD WINE



Malbec

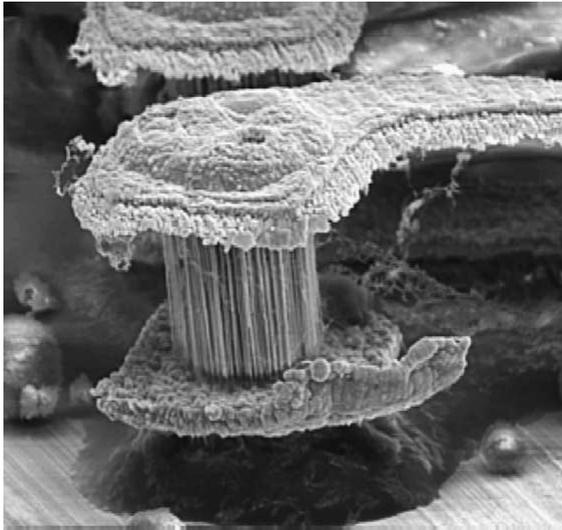
Top 2 harvest festival  
(Nat Geo 2011)

Three wine bottles are shown side-by-side: a black bottle, a red bottle, and a yellow bottle.

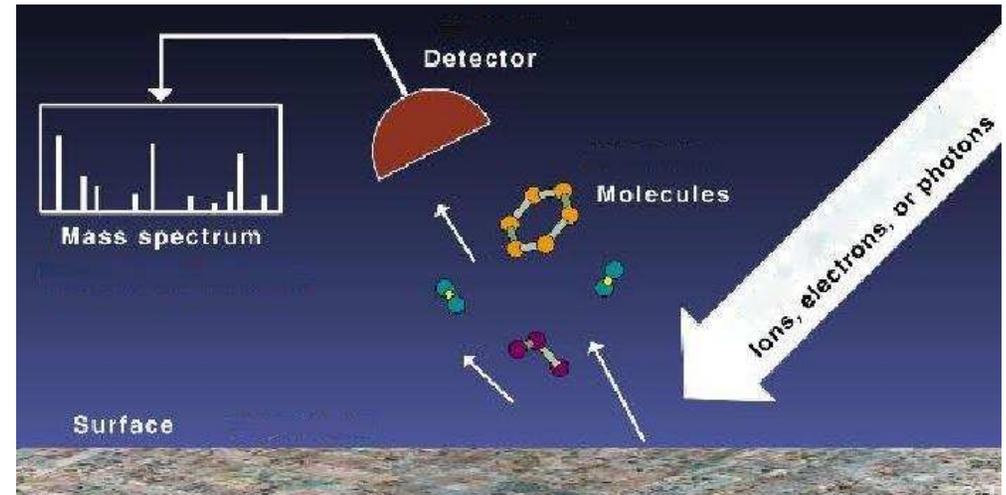
# OUTLINE

- Background and Introduction
  - Track models
- Molecular Dynamics (MD) of damage in the electronic regime
  - Thermal Spikes, Two Temperature Models and Coulomb Explosions.
- Examples
  - Electronic sputtering, track formation: defects, phase change, craters & bumps.
- Conclusions and future outlook

## Ion-solid interaction in the electronic regime



**Microwires filling etched ion tracks**  
Toulemonde et. al, NIMB **216** (2004) 1.



**Desorption of complex molecules**  
R.E. Johnson

### Surface modification

Sputtering [Brown, 1980], adatom generation, craters, hillocks, nanopatterning, etc.

### Bulk radiation damage

Defects, amorphization [Fleischer, Price & Walker 1965], re-crystallization, phase change, mixing, chemical changes,

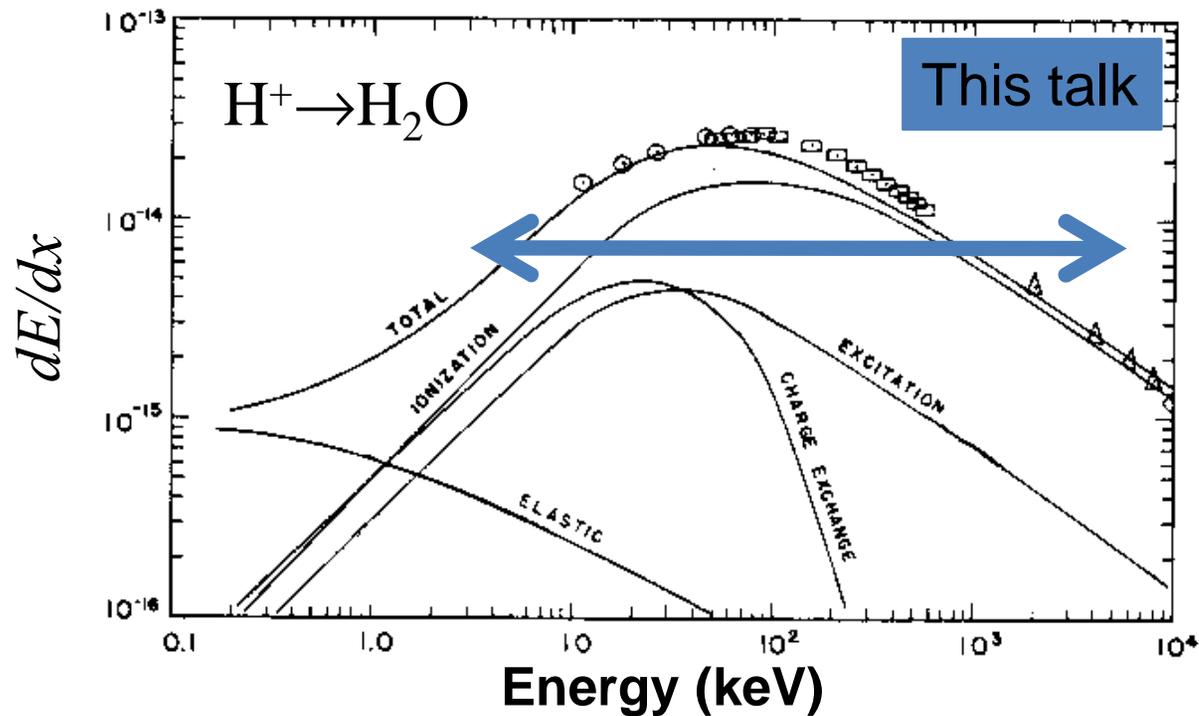
$dE/dx =$  Stopping Power. Energy loss per unit path length



$$dE/dx = (dE/dx)_{nuc} + (dE/dx)_{elec}$$

$$(dE/dx)_{elec} = (dE/dx)_{ioniz} + (dE/dx)_{exc} + (dE/dx)_{ch-exch}$$

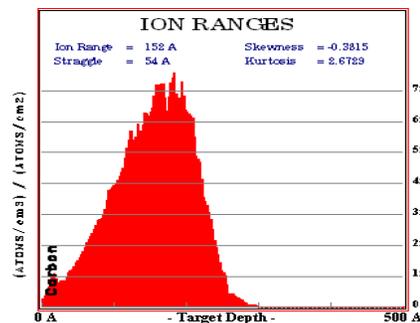
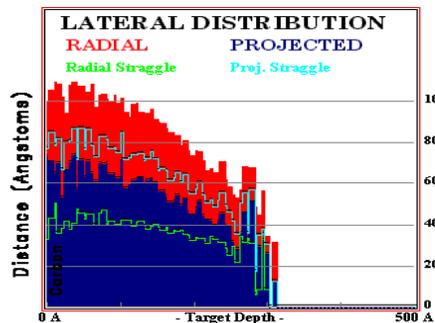
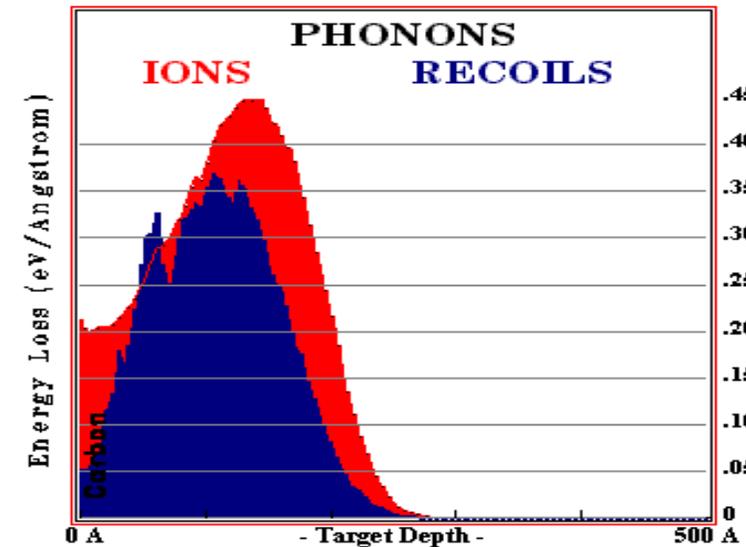
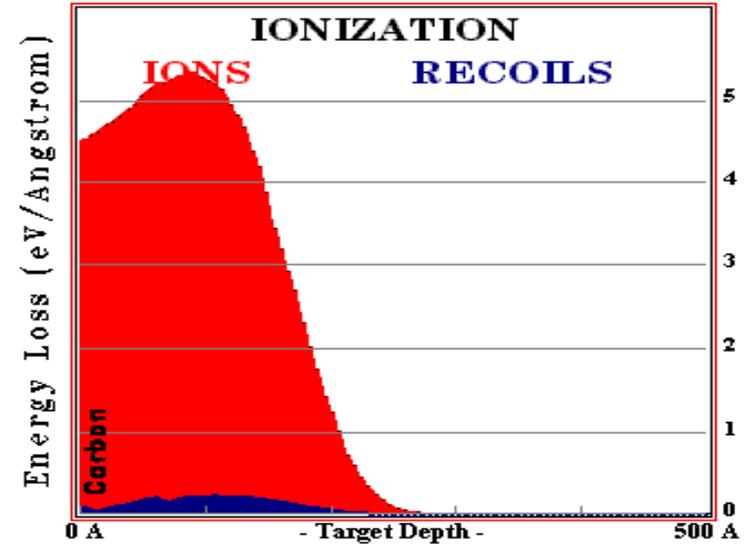
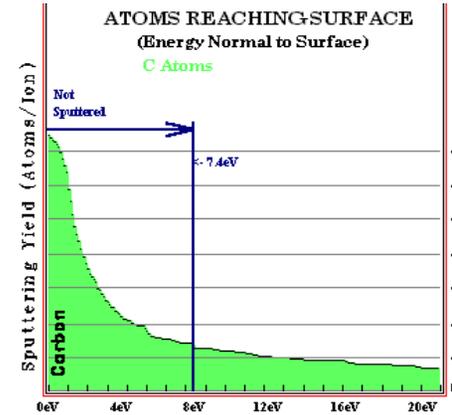
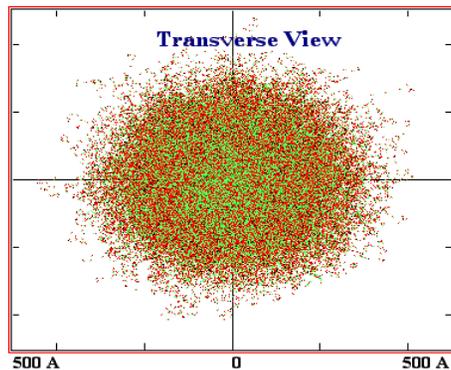
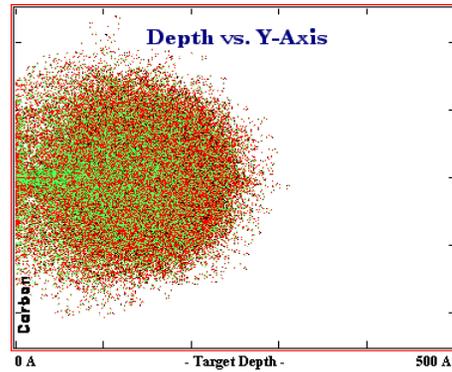
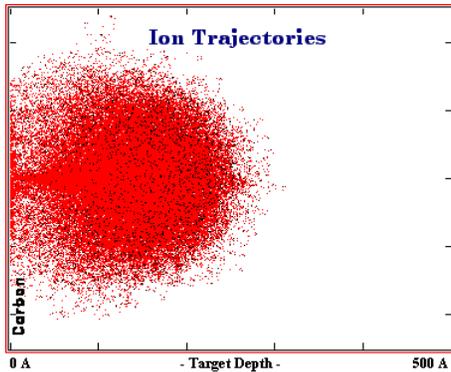
Stopping Cross Section:  $S = (dE/dx)/n$   
n is the density of the material



1 keV H<sup>+</sup> → C

SRIM 2000 (Ziegler and Biersack) 10<sup>4</sup> ions

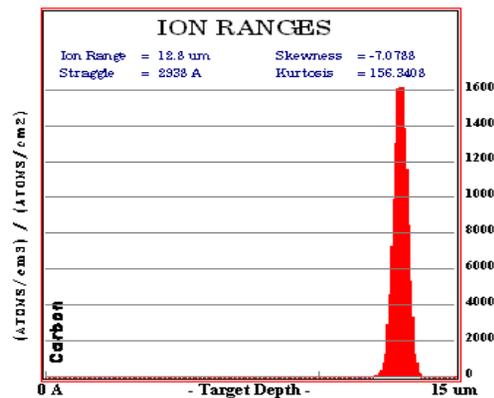
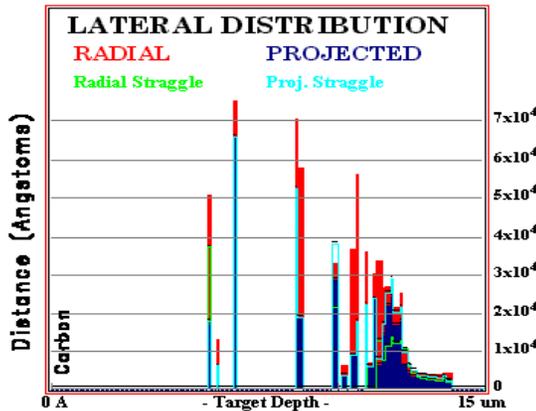
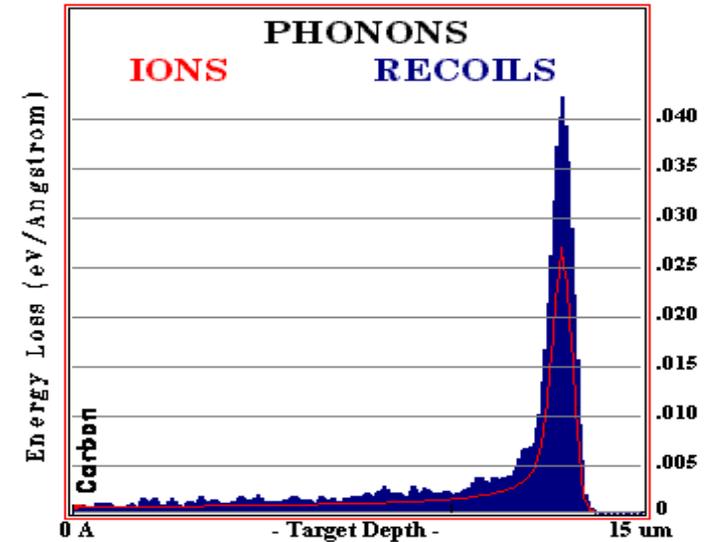
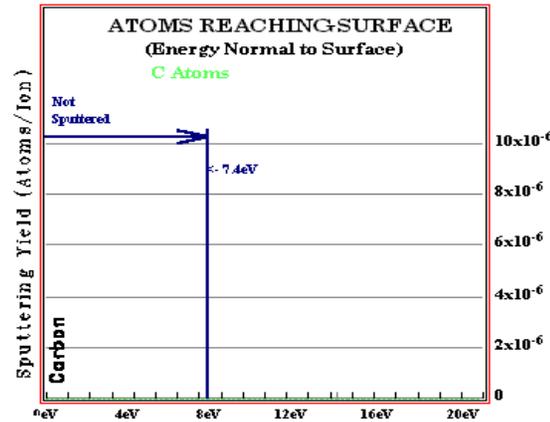
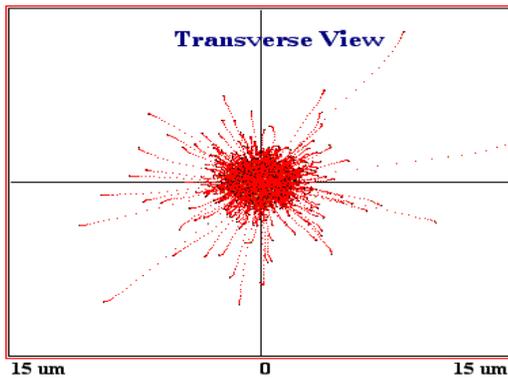
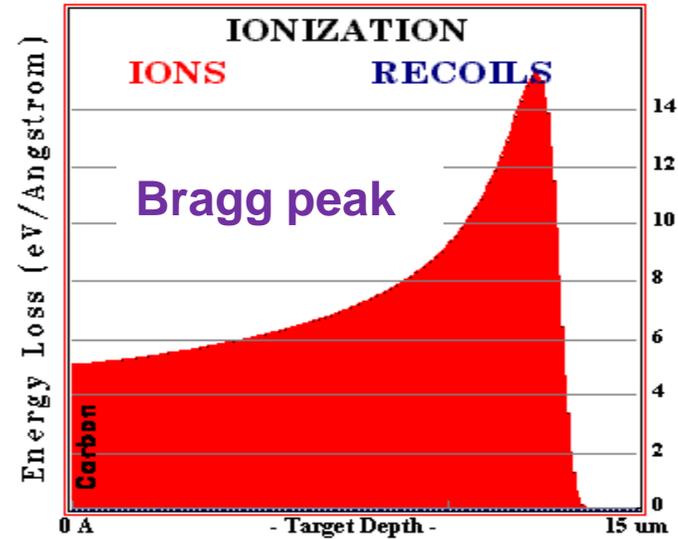
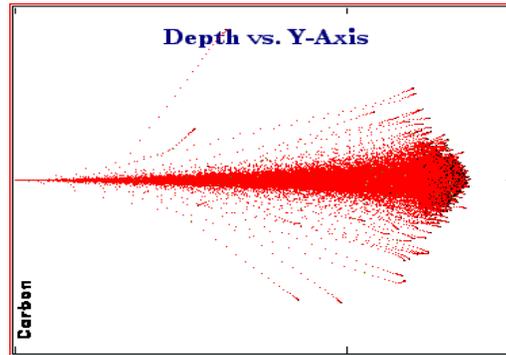
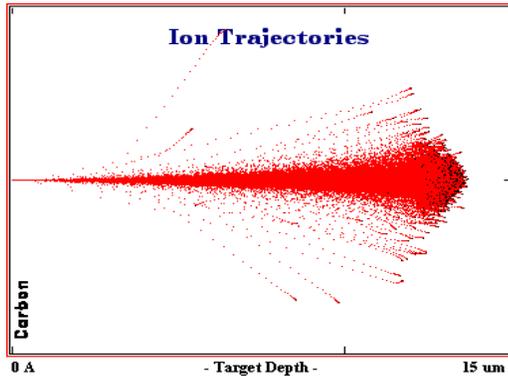
dE/dx=5.2 eV/Å, 90% electronic. Range=135 Å. Max at 80 keV



# 1 MeV H<sup>+</sup> → C

SRIM 2000 (Ziegler and Biersack) 10<sup>4</sup> ions

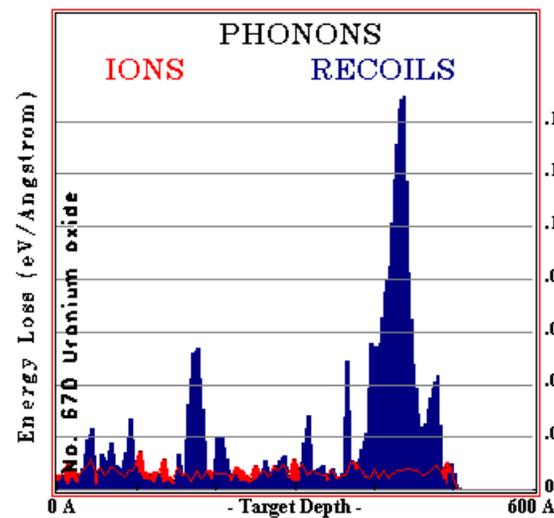
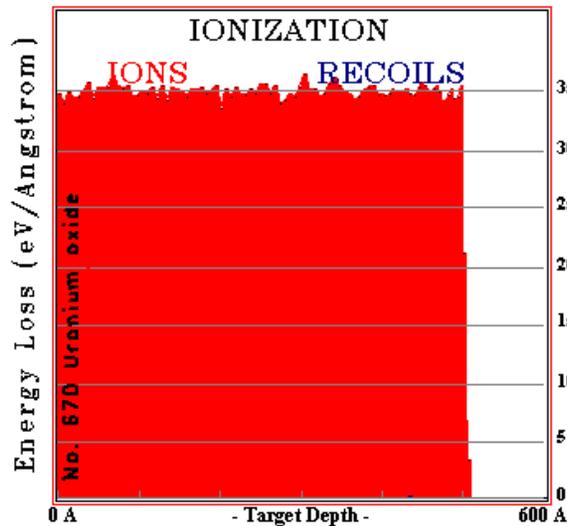
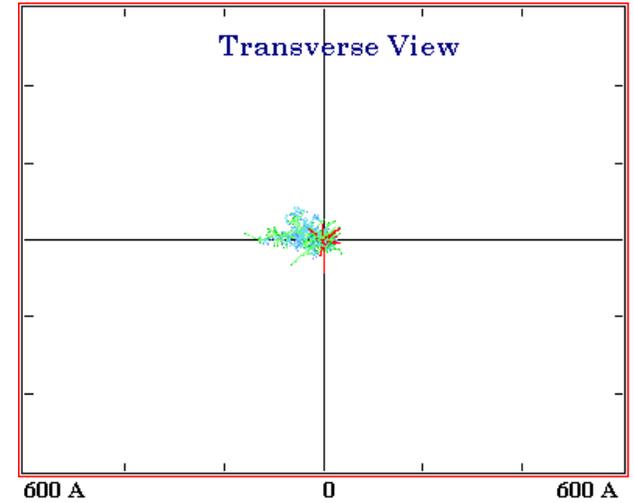
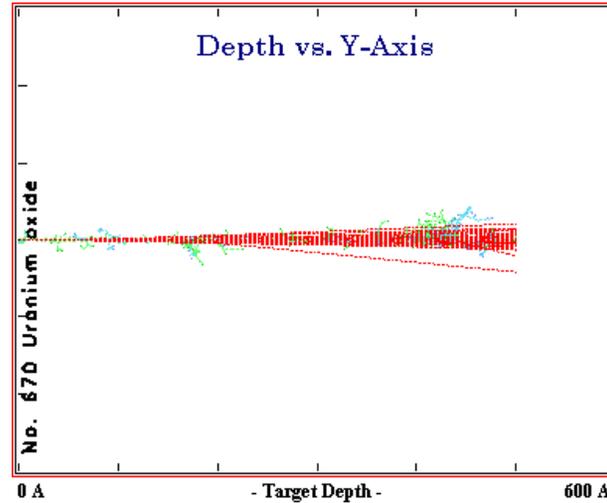
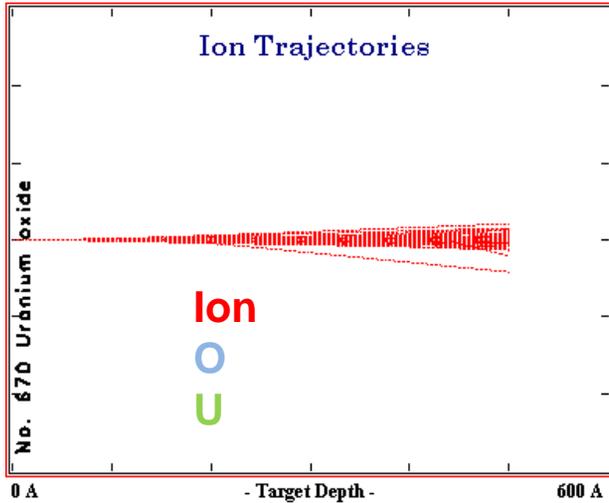
dE/dx=5.4 eV/Å, 99.9% electronic. Range=11.5 μm. Max at 80 keV



# 4 MeV He → UO<sub>2</sub> SRIM 2006 (Ziegler and Biersack) 10<sup>2</sup> ions



This is a quick test. 100 ions too few for MC



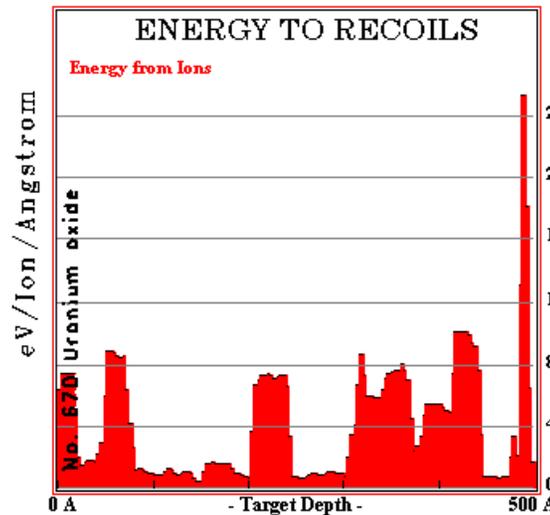
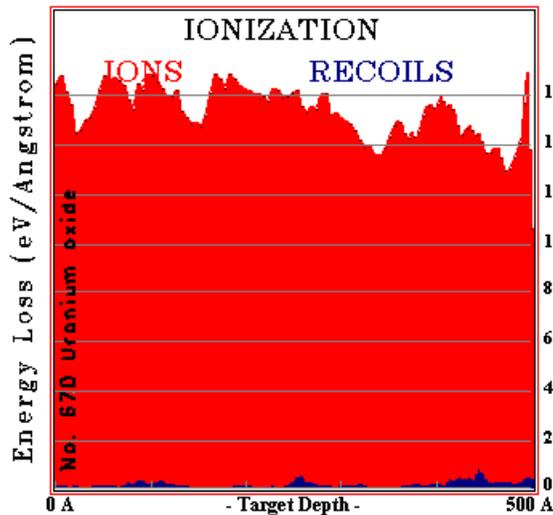
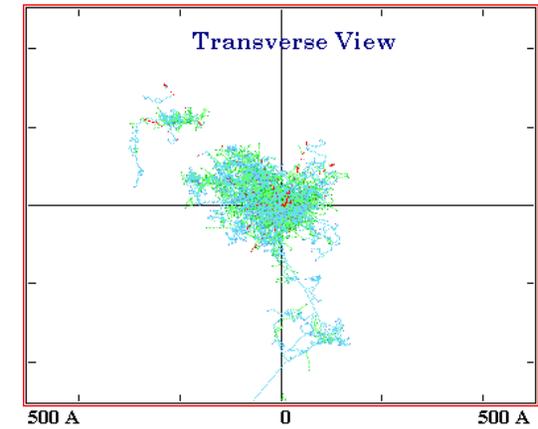
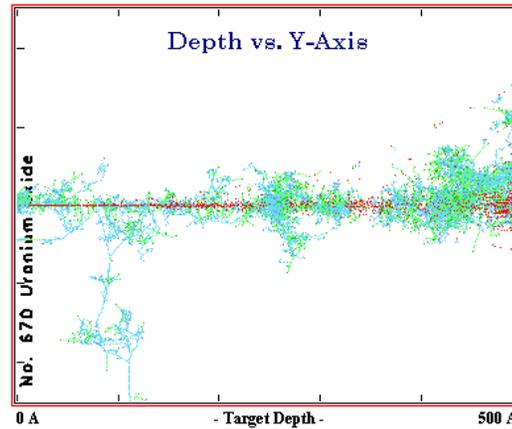
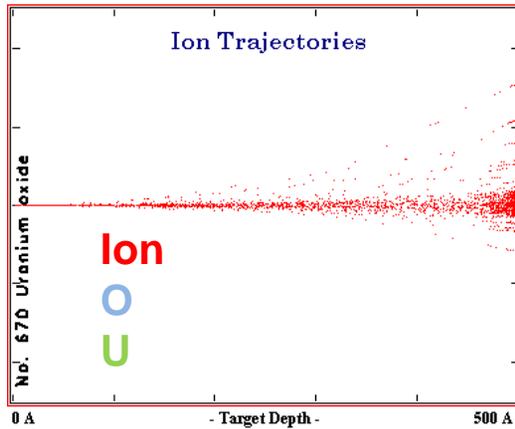
Approximation of a cylindrical track of electronic excitations with constant  $(dE/dx)_{el}$  works well for the first 0.5  $\mu\text{m}$

$(dE/dx)_{el}=3.5 \text{ keV/nm}$ ,  $(dE/dx)_{nuc}=0.014 \text{ keV/nm}$ ,  $R_p= 1.8 \mu\text{m}$  (0.4  $\mu\text{m}$  straggling)

$(dE/dx)_{el}$  has maximum at 6.5 MeV

# 1 MeV O $\rightarrow$ UO<sub>2</sub> SRIM 2006 (Ziegler and Biersack) 10<sup>2</sup> ions

This is a quick test. 100 ions too few for MC



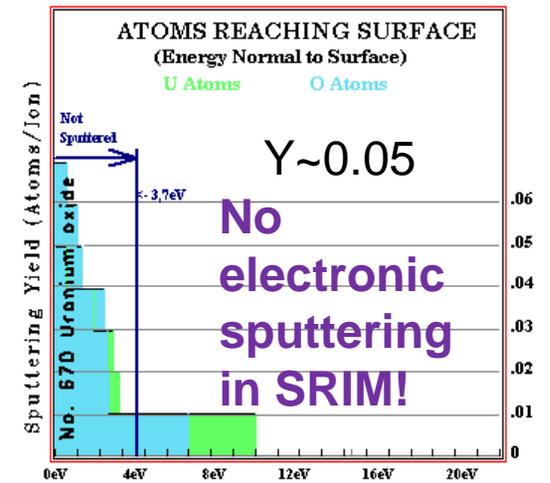
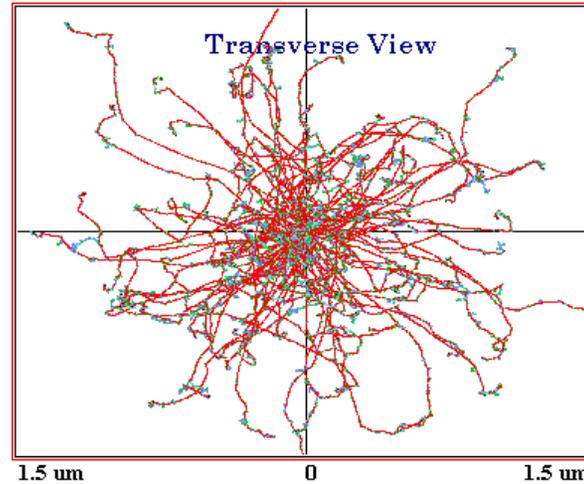
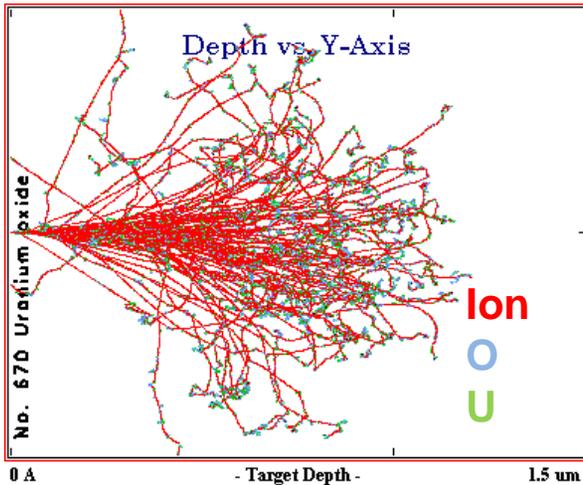
Approximation of a cylindrical track of electronic excitations with constant  $(dE/dx)_{el}$  works OK for the first 0.5  $\mu\text{m}$

$(dE/dx)_{el}=1.5 \text{ keV/nm}$ ,  $(dE/dx)_{nuc}=0.038 \text{ keV/nm}$ ,  $R_p= 0,8 \mu\text{m}$  (0.2  $\mu\text{m}$  straggling)  
 $(dE/dx)_{el}$  has maximum at 6.5 MeV

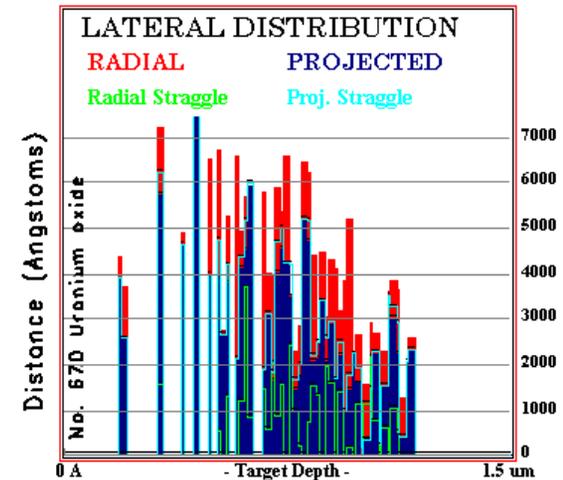
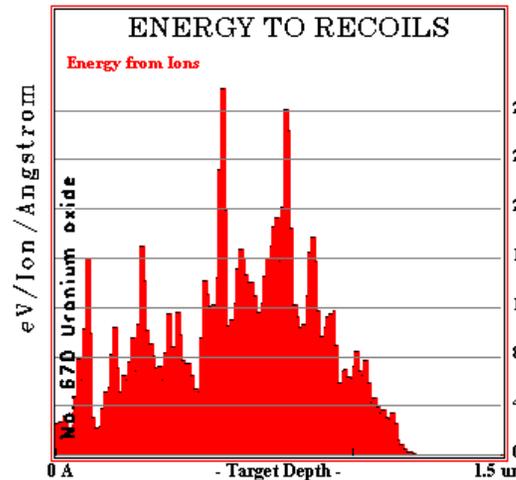
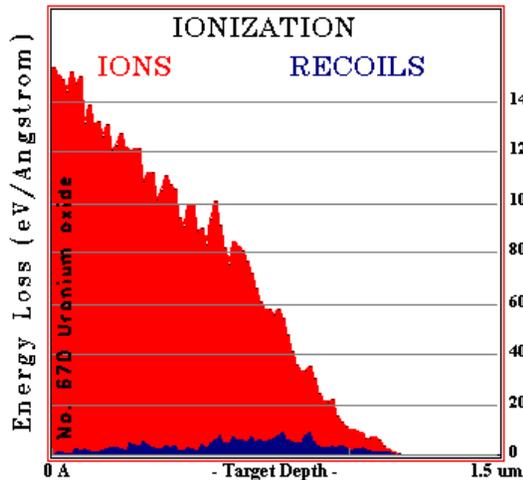
# 1 MeV O → UO<sub>2</sub> SRIM 2006 (Ziegler and Biersack) 10<sup>2</sup> ions



This is a quick test. 100 ions too few for MC



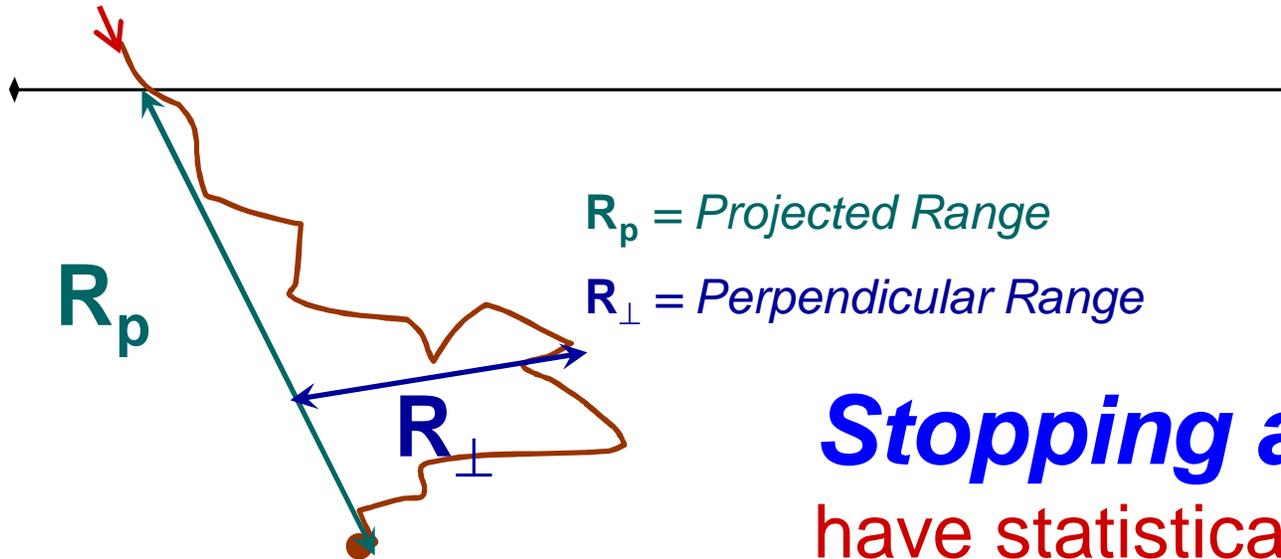
93% electronic stopping



$(dE/dx)_{el}=1.5$  keV/nm,  $(dE/dx)_{nuc}=0.038$  keV/nm,  $R_p=0,8$   $\mu$ m (0.2  $\mu$ m stragging)

$(dE/dx)_{el}$  has maximum at 6.5 MeV

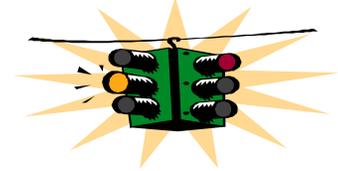
# Ion Range, or where does an ion stop?



$R_p = \text{Projected Range}$

$R_{\perp} = \text{Perpendicular Range}$

**WARNING!!**

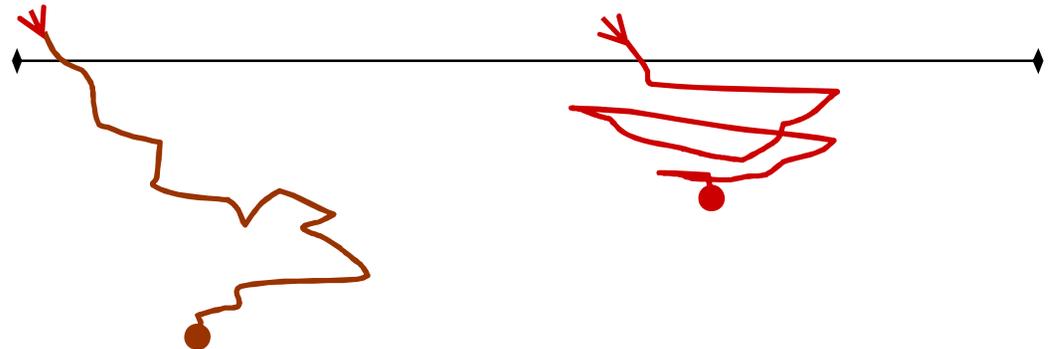


## **Stopping and Range**

have statistical fluctuations!!!

Sometimes the largest fluctuations may determine the final outcome

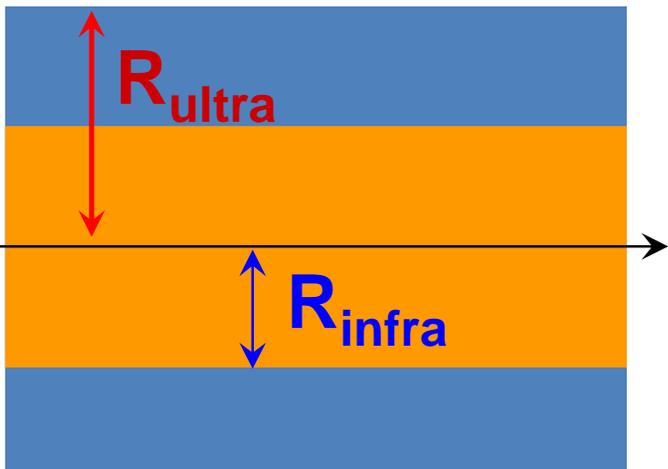
$$R = \int |dE/dx|^{-1} dE$$





# Track dimensions and structure

## Infra and Ultra Track



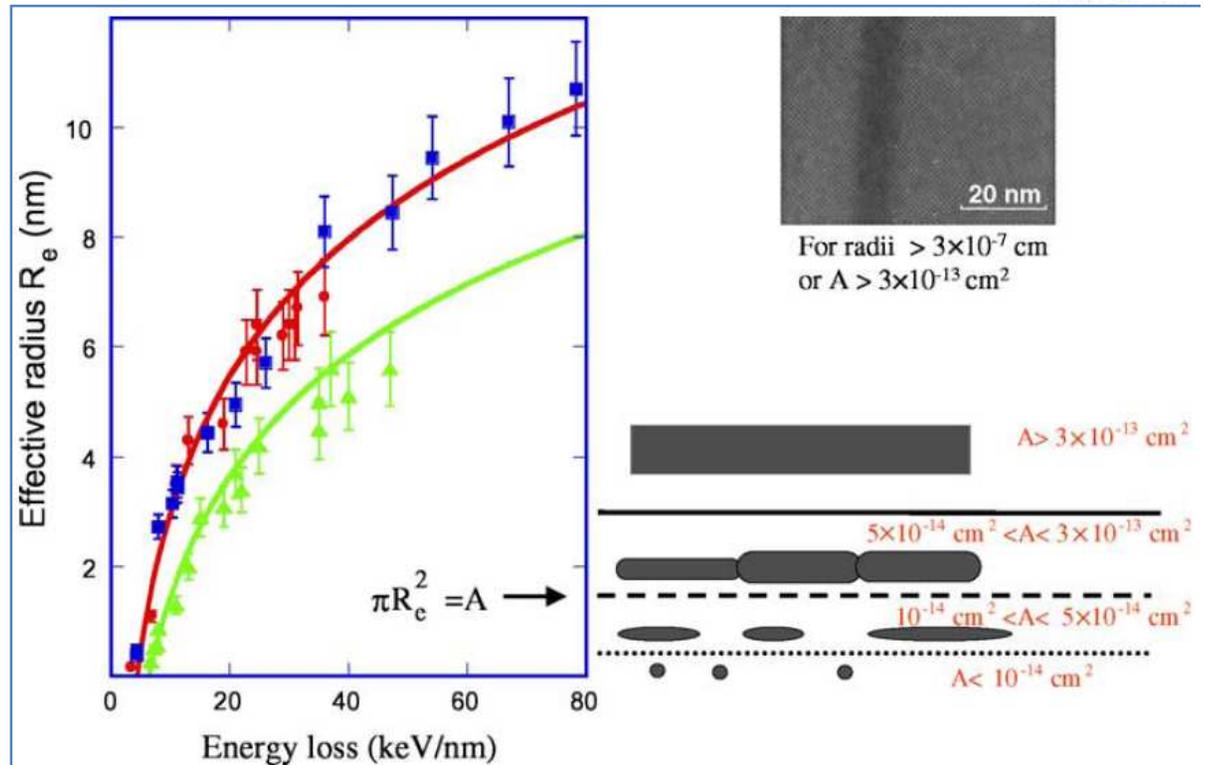
$$R_{\text{infra}} = R_{\text{core}} \sim r_B \sim v/\omega_0,$$

$h\omega_0 =$  first excitation energy

→ **Velocity effect: damage different for the same  $dE/dx$**

$$R_{\text{ultra}} \sim \text{maximum range of } \delta e^- \propto E_{\text{ion}}$$

Johnson & Schou, *Mat. Fys. Medd. Dan. Vid. Selsk.* **43** (1993) 403.



Track radius  $R_e$  versus  $dE/dx$  for  $Y_3Fe_5O_{12}$   
 Damage cross section:  $A = \pi R_e^2$   
 Toulemonde *et. al*, NIMB **216** (2004) 1.

**Not necessary to  
 assume continuous track in MD  
 (Schwen & Bringa, NIMB 2007)**

## “Effective” Stopping Power

$$(dE/dx)_{\text{effective}} = \alpha f (dE/dx) = \eta (dE/dx) ; \eta < 1$$

$\alpha$  = fraction deposited at the surface

$f$  = fraction that goes to relevant kinetic energy transfers, not spent in luminescence or in other excitations.

### Nuclear Sputtering

$$\alpha = \alpha(M_{\text{tar}}, M_{\text{proj}}, \Theta) ; f = 1$$

$$(dE/dx)_{\text{effective}} = F_D(0) = \alpha (dE/dx)_{\text{nuclear}}$$

### Electronic Sputtering

$$\alpha \sim 1-0.5 \text{ (forward } e^-); f \sim 0.2-0.4$$

$f$  related to e-ph coupling

**Typically:  $\eta = \eta(v)$**   
 $\eta \sim 0.2$  for “high”  $v$   
 $\eta \sim 0.5$  for “low”  $v$

# Track formation



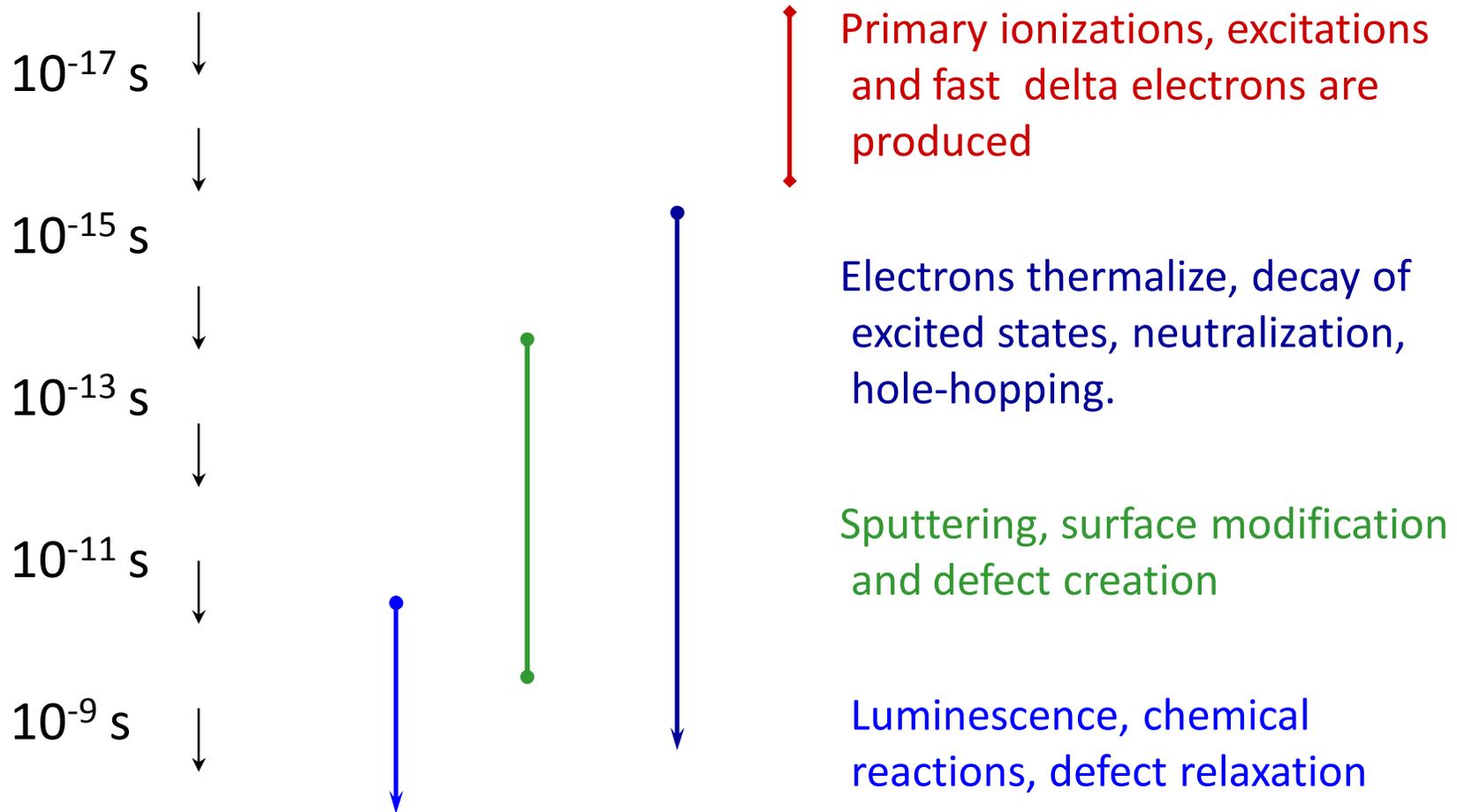
## Electronic Excitations

How do the atoms get extra kinetic energy from the electrons and from other atoms?



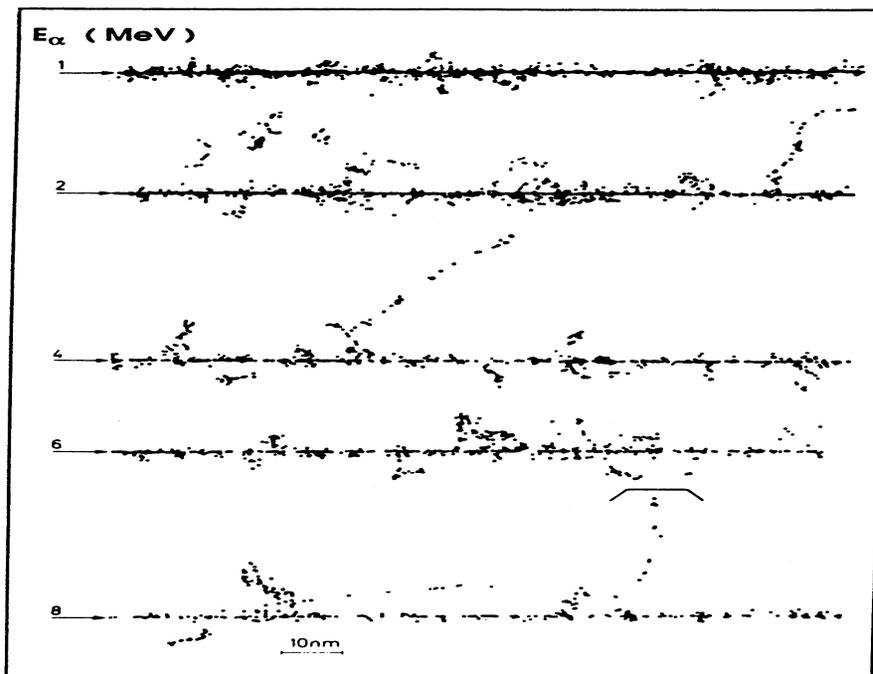
Other processes...

# Rough track formation time line

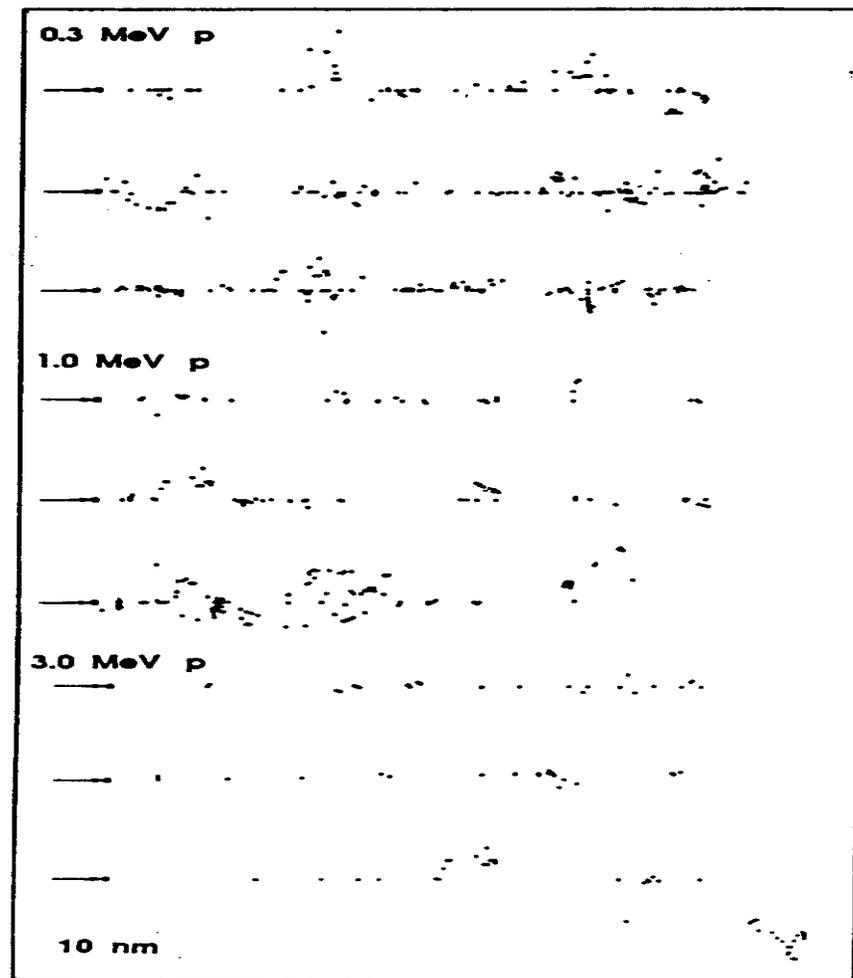


**Surface/Bulk defect evolution requires “long” simulations:  
thermal ejection, recrystallization of simulated amorphous tracks, etc.**

# Tracks in water (MC simulations of ionization)



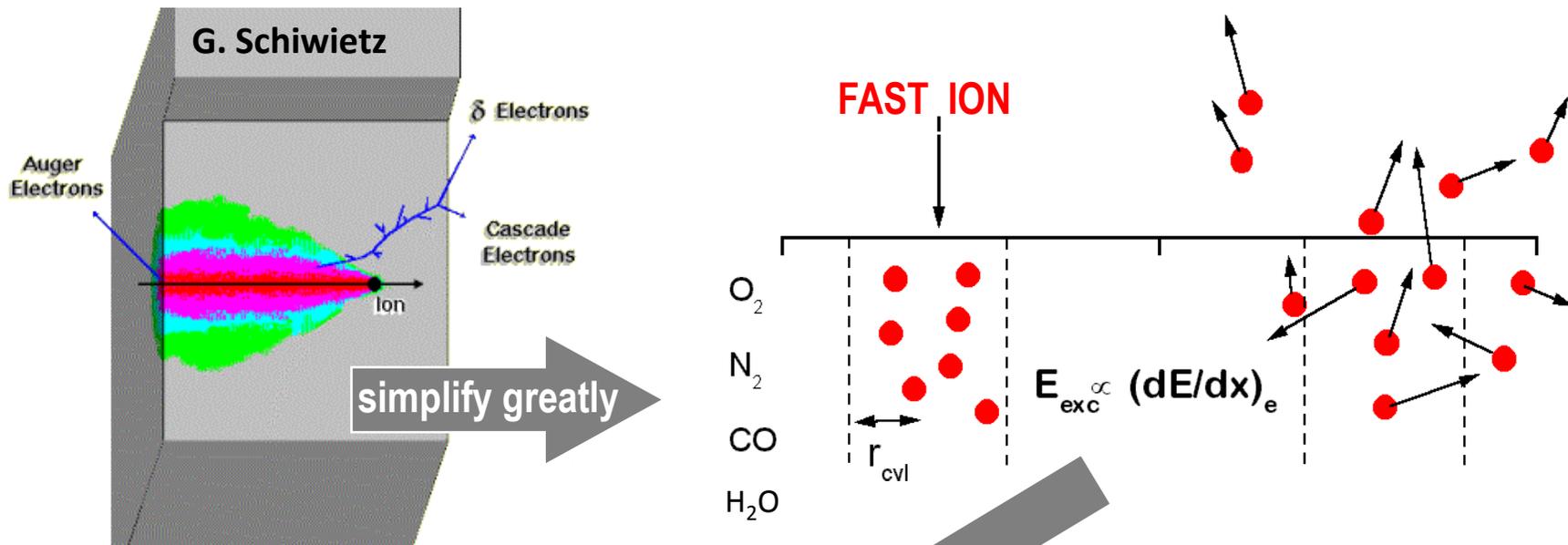
$\alpha$  particles



Protons

IAEA-TECDOC-799 *Atomic and Molecular data for radiotherapy and radiation research*, IAEA, Vienna, 1995

# Track evolution and modeling



Many “analytic” models

Coulomb Explosion (few flavors)

Thermal Spikes (many flavors)

Fleisher, Price and Walker, J. App. Phys. **36**, 3645 (1965)

Trautmann, Klaumunzer and Trinkaus,

Phys. Rev. Lett. **85**, 3648 (2000)

MORE ....

but MD is often better

MD simulations can

predict experimental track sizes

[Devanatham *et al.*, NIMB (2008)]

and sputtering

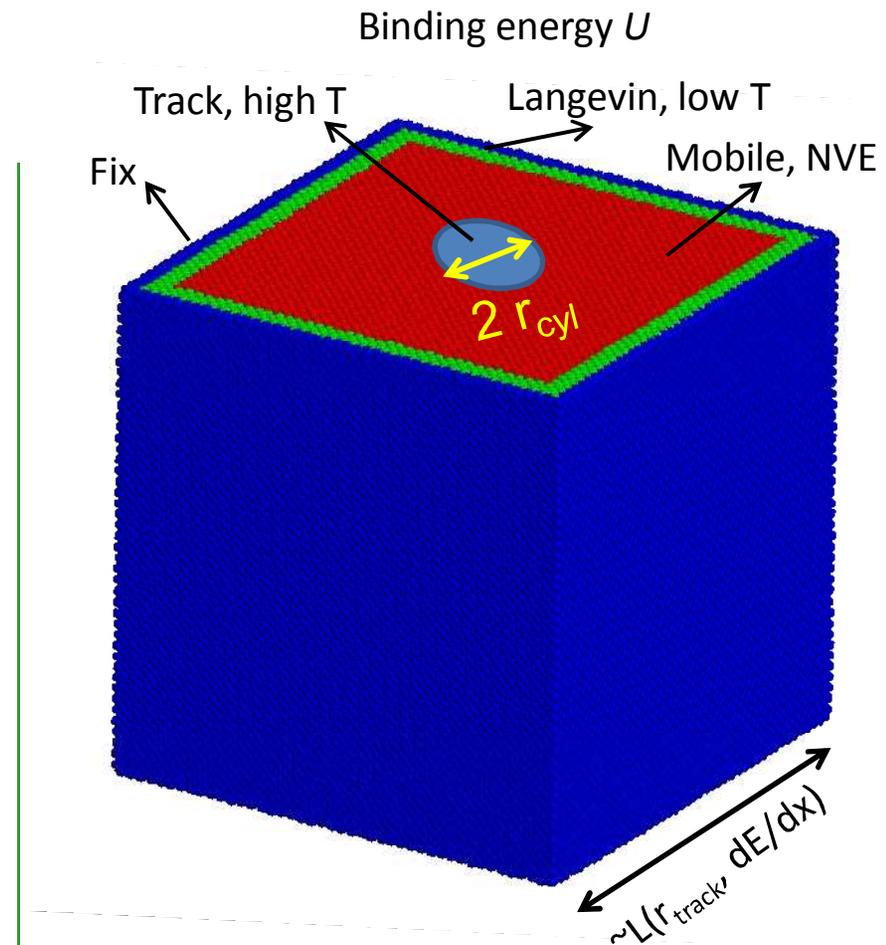
[Bringa and Johnson, PRL **88**, 165501, (2002)]

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# MD Simulations of electronic damage

- **Atomic Solid/Molecular solids**  
Potentials: L-J, Morse, EAM, oxides, etc.  $U \sim 0.1-10$  eV
- **Track:** all/few atoms within a region with “radial” symmetry. Cylinder, Gaussian, etc. Size  $r_{cyl}$
- **Atoms in track can receive:**
  - extra KE (prompt or ramped spike, or from TTM); compare with binding energy  $U$ ;
  - extra charge  $Z$  (Coulomb explosion);
  - repulsive or anti-bonding potential.



$dE/dx$  = “effective”  $dE/dx < (dE/dx)_{exp}$

$R_{cyl} = R_{track}(v, dE/dx, \text{etc.})$

Variable time step + short-range potentials needed

## MD simulation of electronic damage -II

- “Low”  $dE/dx$  simulations can be carried out with a “diluted” track.
- Velocity effect (i.e. a track size that differs for the same  $dE/dx$  and different velocity) can be taken into account with different  $(dE/dx)_{\text{eff}}$  or  $r_{\text{cyl}}$ .
- For multi-component materials (polymers, alloys, oxides, water, etc.), it can use mass dependent velocity distributions.
- If main excitation decay channel is known, then it can be used instead of simple temperature distribution.
- Can add role of collision cascades, which would be important below/near tracking threshold, by adding a few recoils.
- Charge-state of projectile could be included using different  $(dE/dx)_{\text{eff}}$ .

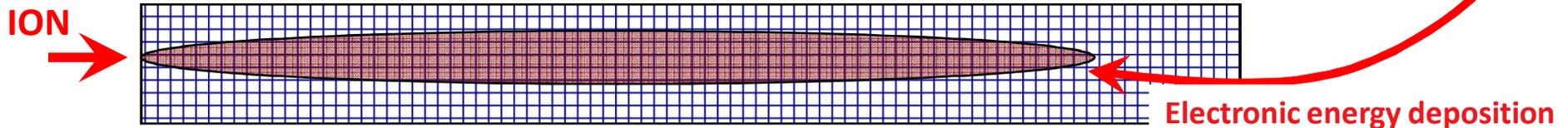
MD track simulations offer a simple empirical way to incrementally add physical information, testing the relative importance of different contributing factors. They help understanding and possible guiding complex experiments, and building larger-scale models.

# Combined Two Temperature Model (TTM) – MD

Analytical TTM from 1950s (Kaganov, Lifshits and Tantarov)

$$\begin{cases} C_e(T_e) \frac{\partial T_e}{\partial t} = \frac{\partial}{\partial z} \left( K_e(T_e) \frac{\partial T_e}{\partial z} \right) - G(T_e - T_l) + S(z, t) \\ C_l \frac{\partial T_l}{\partial t} = \frac{\partial}{\partial z} \left( K_l \frac{\partial T_l}{\partial z} \right) + G(T_e - T_l) \end{cases} \Rightarrow \text{MD}$$

MD :  $m_i \frac{d^2 \vec{r}_i}{dt^2} = \vec{F}_i + \xi m_i \frac{d \vec{r}_i}{dt}$  with  $\xi = G(T_e - T_l) / \sum_i \frac{|\vec{p}_i|^2}{m_i}$

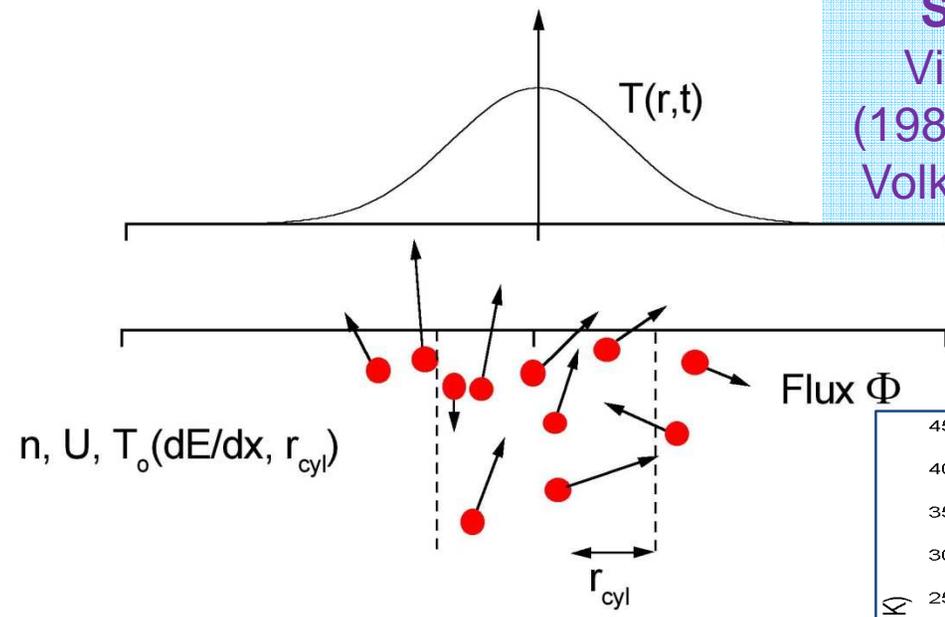


- Toulemonde *et al.* (1994-2011): “Thermal spike” where heating is provided by secondary electrons → spike radius large and E/atom low → neglecting pressure effects is OK.
- TTM (no MD → no pressure/surface) → successful to understand track size data; problems with sputtering data → use more accurate MD+TTM
- MD+TTM first applied to lasers (Zhigilei, Ivanov, Urbassek, 2003), later applied to radiation damage (Duffy, Toulemonde, Nordlund, etc.):  $S(z,t) \rightarrow S(r,t) \text{ or } S(r,z,t)$

# Analytic Thermal Spike (TS) Models

**Semi-analytic models** by several groups:  
 Vineyard (1976), Johnson (1980), Sigmund (1981), Toulemonde (1994), Trinkaus, Ryazanov, Volkov, Klaumünzer (1995), Szenes (1996), etc.

**Temperature profiles may be used for defect production (tracking), chemistry, etc**



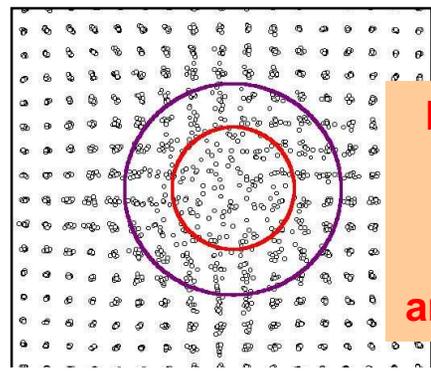
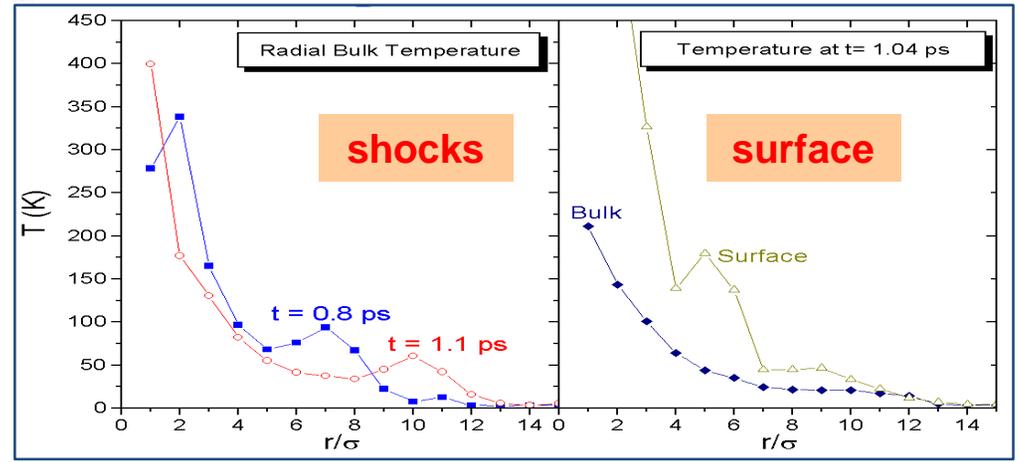
$$Y = \int \int \Phi [T_{\text{surf}}(r,t)] dA dt$$

$$Y \propto (dE/dx)^2$$

$$\Phi \propto \exp(-U/k_b T_{\text{surf}})$$

$$C (\partial T / \partial t) = \nabla (K \nabla T) \Rightarrow T(r,t)$$

$$T_{\text{surf}}(r,t) \sim T(r,t)$$



**Molten track does not guarantee "long-time" amorphization**

# Hydrodynamic Equations for a Thermal Spike also include mass and momentum effects



$$NC_V \partial T / \partial t = (1/r) \partial (r K_T T) / \partial r - T (\partial p / \partial T) N \partial v / \partial r + \text{visc.}$$

$$\partial v / \partial t = (1/NM) \partial p / \partial r$$

$$\partial N / \partial t = - \partial (Nv) / \partial r$$

$M = \text{atomic mass, } N = \text{density}$

## Melting

$$C_V = \begin{cases} 6/2 k_B & ; T < T_f \\ 3/2 k_B & ; T_f < T \end{cases}$$

$$C_V \rightarrow C_V + Q_{\text{fus}}/10; \text{ if } T_{\text{fus}} - \Delta T < T < T_{\text{fus}} + \Delta T$$

## Thermal conductivity

$$K_T = (25 k_B / 32 \sigma_0) (k_B T / \pi M)^{1/2}, \quad \sigma_0 = 1.151 \text{ \AA}$$

**Jakas et al., several papers**

**Alternative to TS: “shock models”  
which neglect heat diffusion effects**

Bitensky & Parillis (1989)

Fenyö & Johnson (1992)

Lesueur & Dunlop (1993)

Few others .... Details: Ryazanov's talk

**MD: have to be careful  
with “localized”  
phase changes and  
temperature/pressure  
calculations.**

# Semi-Analytical Thermal Spike models vs. MD



- Semi-analytical TS models do NOT give good description of energy transport and sputtering at high energy densities ( $E_{exc} > U$ ).
- MD treats properly energy transport (thermal properties, phase transitions, pressure effects) and surface.
- Assumptions about initial energy deposition are needed to understand experiments: electron-phonon coupling or effective  $dE/dx$ , initial track radius, velocity effects, etc.
- **Drawback:** models takes few minutes, MD takes few days 😊

# First large-scale MD simulations of Coulomb Explosion (induced by slow-Highly Charged Ions)

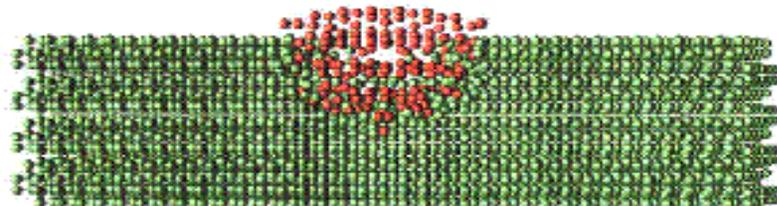


Hai-Ping Cheng and J. D. Gillaspay, PRB **55** (1997) 2628

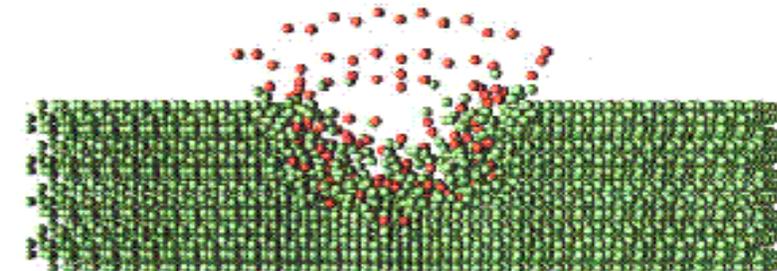


Initial simulations of HCI had no neutralization

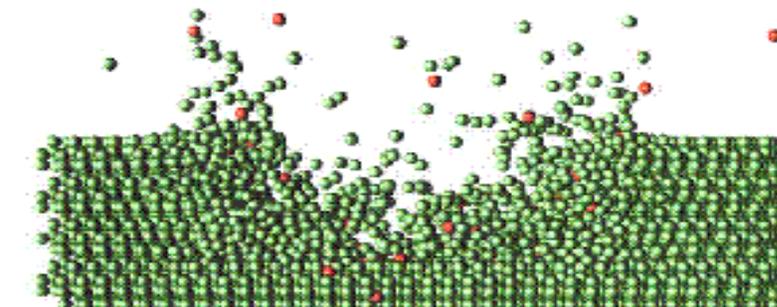
$t=0.0$  fs



$t=40.0$  fs



$t=80.0$  fs



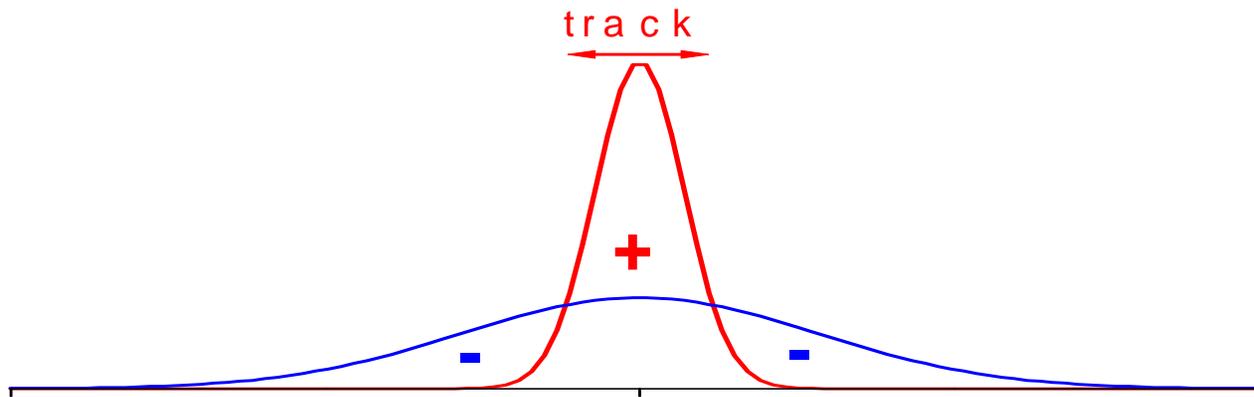
$t=360.0$  fs

Many semi-analytical models  
of CE (Ryazanov's talk).

Several other previous  
simulations of CE, including  
CE in ionic crystals  
[Walkup & Avouris,  
Phys. Rev. Lett. (1986)].

FIG. 1. (Color) Snapshot of the time evolution of the Coulomb explosion process. Red and green spheres are used to indicate Si<sup>11+</sup> ions and Si atoms, respectively. This particular system consists of 365 ions. The initial Coulomb repulsive energy stored in the hemispherical region is about 87.3 keV. Between  $t=0$  and 40 fs, the charged region expands significantly. At  $t=80$  fs, over 100 ions are ejected from the surface, forming a pronounced hole. By 360 fs, the hole is much larger, and about 800 atoms and ions are driven from the surface.

## Simplified view of screening



"Free" electrons screen the ions in the track

"Static" screening:  $V(r) = (Ze)^2 \text{Exp}(-r/a) / r$

**C**lassical plasma

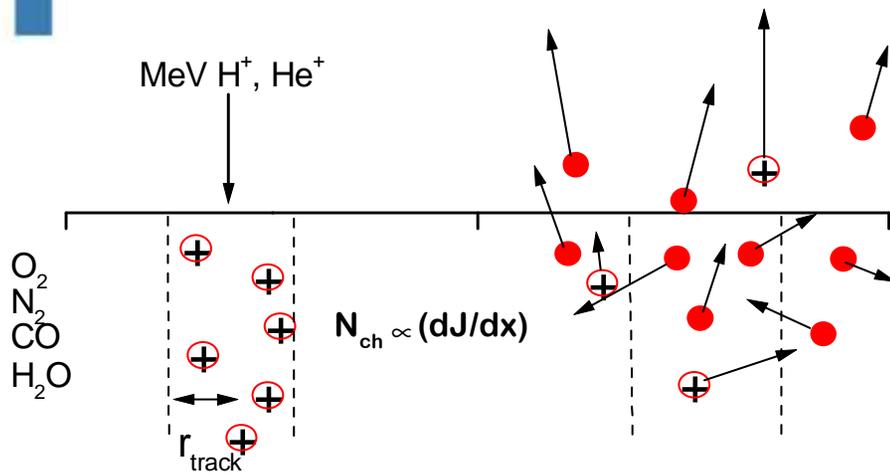
$a = v_T / \omega_p$  Debye screening

**Q**uantum plasma

$a \sim v_F / \omega_p$  Thomas-Fermi screening

**Use MC modeling with electron cross-sections/mean free paths to estimate time dependent screening**

# Coulomb explosion (CE) simulations



$$PE \sim (N_{ch} e)^2 / d \longrightarrow \Delta KE$$

$$Y \propto (dJ/dx)^2$$

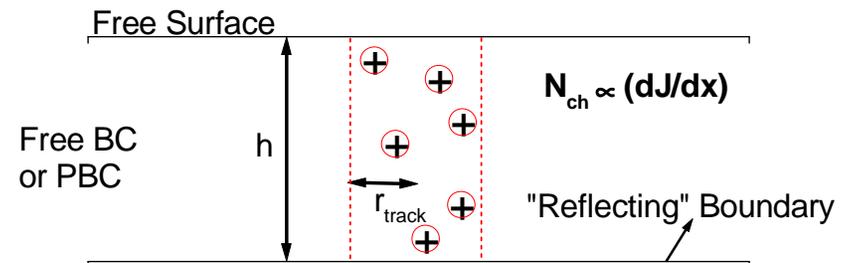
$$dJ/dx = A (Z_{eff}/v)^2 \ln(B v^2) \propto (dE/dx)_e$$

- Extremely difficult to determine neutralization times, both theoretically and experimentally
- If net repulsion is due to excited states, they may decay too fast, or they may diffuse far away before decaying.

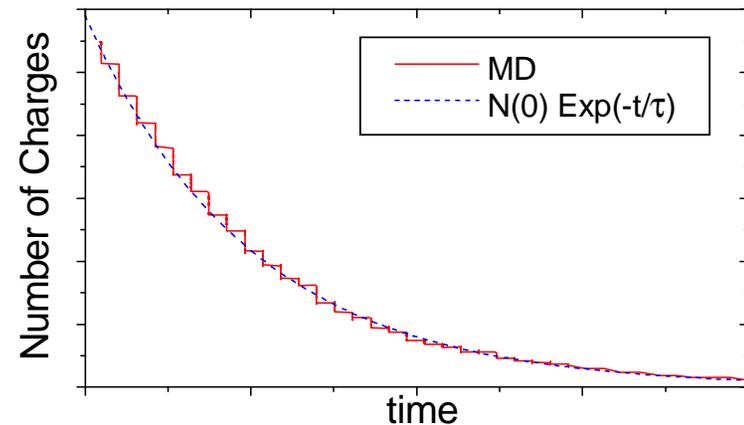
## MD Simulations of Coulomb Explosion

$$V(r_{ij}) = V_{L-J}(r_{ij}) + (Z_i Z_j / r_{ij}) \text{Exp}(-r_{ij}/a). \quad r_{\text{cut-Coul}} = 7 a$$

$$\text{depth of layer } h > 2 r_{\text{cut-Coul}} \cdot r_{\text{track}} / N_{\text{ch-MAX}} = 2 \text{ charges/layer}$$



## Neutralization Time $\tau$

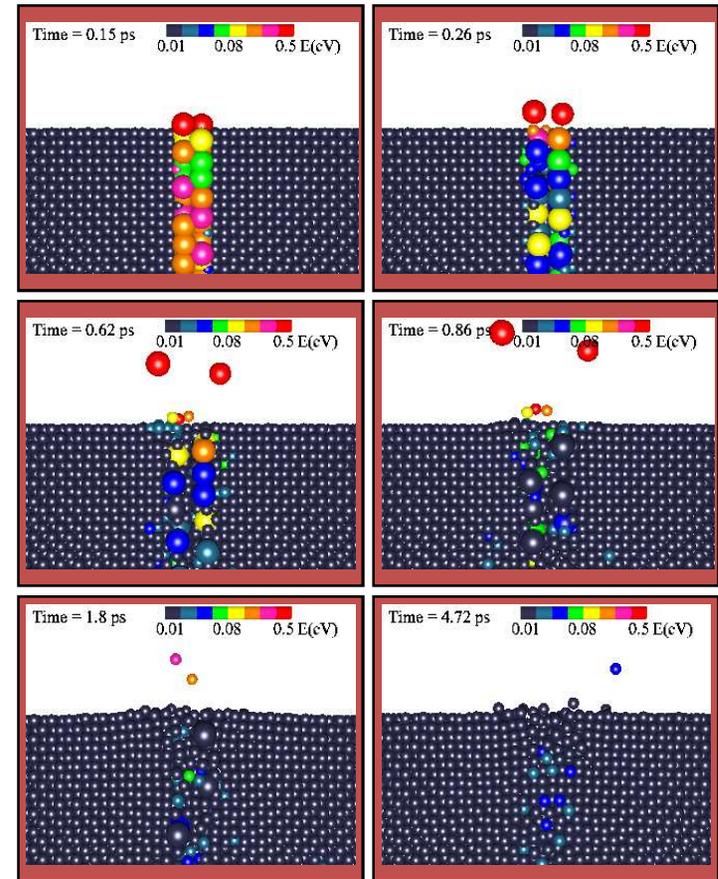
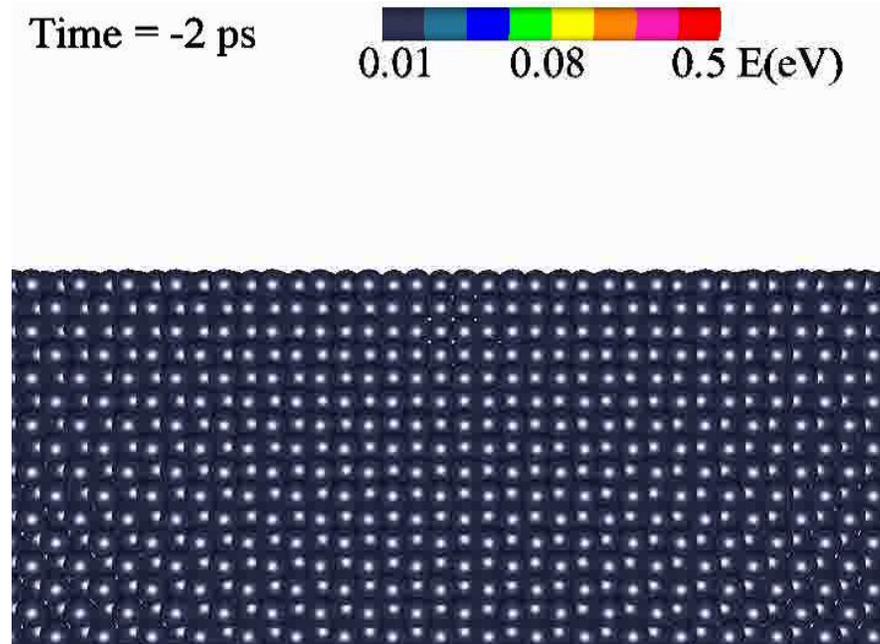


Bringa and Johnson, PRL **88**, 165501 (2002)

Similar to H-P. Cheng work for HCl

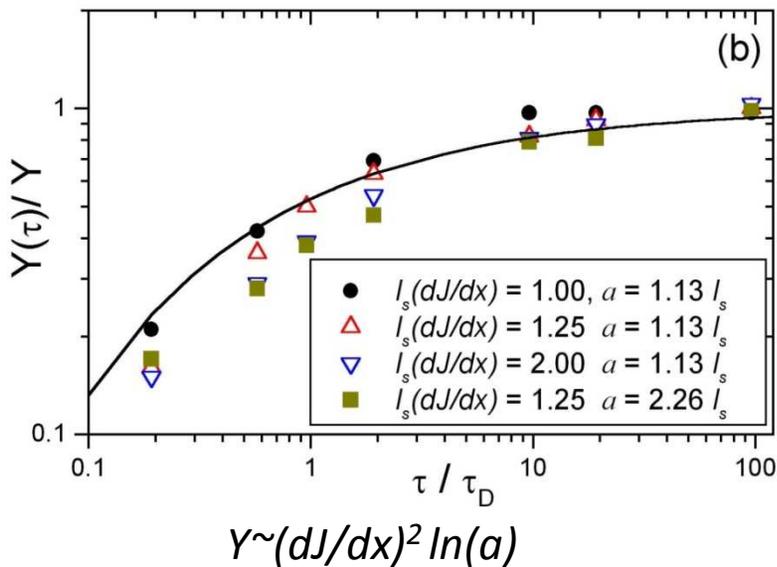
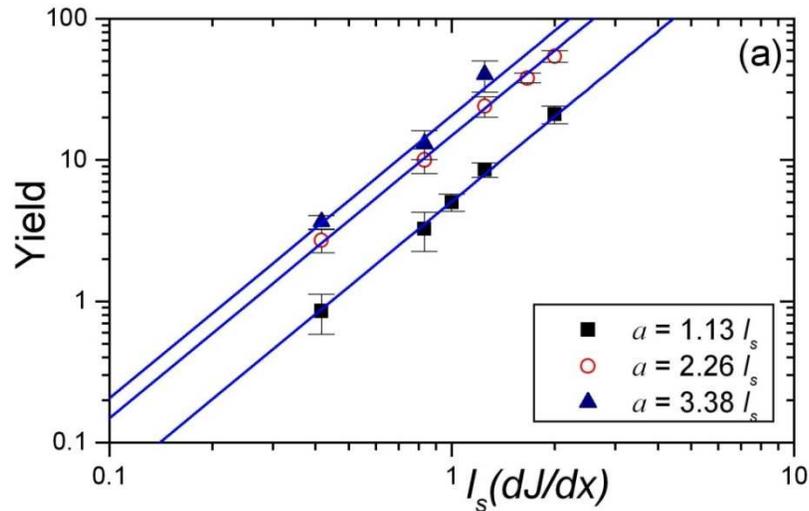
# Coulomb Explosion MD simulations

$N_{ch}=2$ ,  $a \sim l$ ,  $r_{track} \sim l$ ,  $\tau=1 \text{ ps} \sim 2 t_D$   
 charged atoms have twice the radius of neutral atoms



**If neutralization is too fast there is no heating of the lattice!**

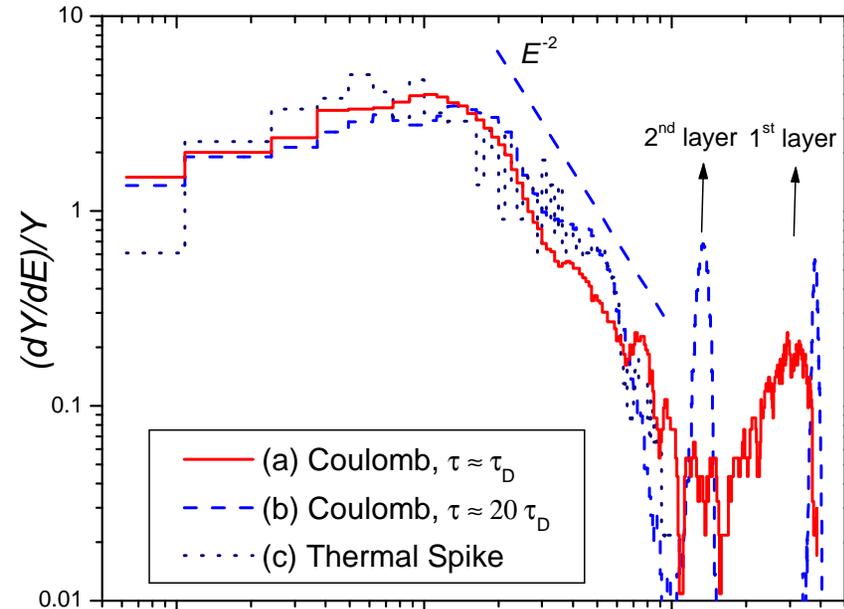
# Coulomb explosion leads to heating of the lattice as in TS



Is there a thermal spike (TS)? YES!

Analyzing MD data, there is a clearly defined energetic track with:

- 1)  $(dE/dx)_{\text{eff}} = A (dJ/dx)^2 \rightarrow Y_{\text{MD-CE}} = Y_{\text{MD-TS}}$
- 2)  $r_{\text{cyl}} = \text{Constant}$



Coulomb Spike | Prompt Coulomb

# Old idea: “Thermalized” ion explosion model

L. E. Seiberling, J. E. Griffith, and T. A. Tombrello, *Rad. Eff.* **52** (1980) 201

Ryazanov *et al.* have similar model, including coupling to MD

- Coulomb explosion heats up the atoms at the track.
- Sputtering as in the thermal spike model.

$$Y \sim \Delta A \Delta t \text{ flux}(T) \sim \pi r_{\text{cyl}}^2 (r_{\text{cyl}}^2 / 4K) \text{ flux}(T)$$

$$Y \sim (dJ/dx)^4, \quad Y \sim (dJ/dx) \exp[-U r_{\text{cyl}}^2 / (dJ/dx)^2]$$

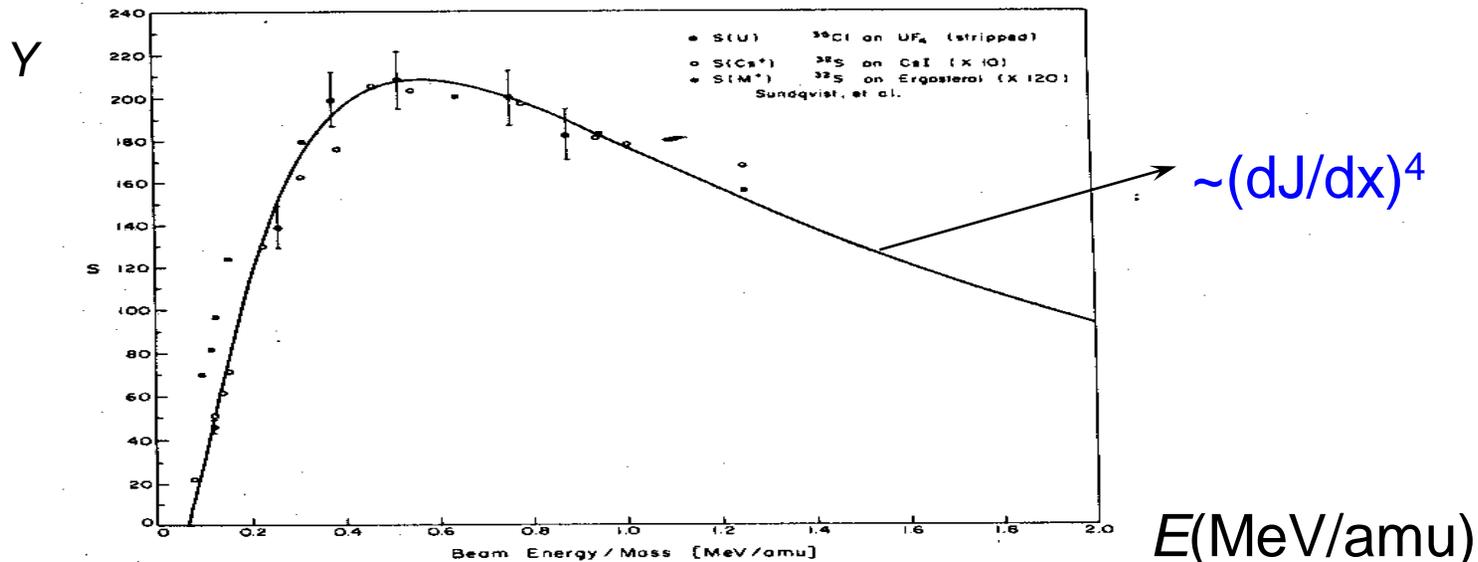


Fig. 4. Sputtering yield data versus beam energy per atomic mass unit for chlorine ions incident on UF<sub>6</sub> from a “stripped” experiment. Also shown are sputtered ion yields for sulfur ions on CsI and ergosterol targets (23). S(M<sup>+</sup>) refers to the sputtering yield of (ergosterol)<sup>+</sup> ions. The curve is a fit to  $(dJ/dx)^4$  (see text, section 2).

## Summary of recent MD simulations of electronic damage



- Many papers using instantaneous energy deposition in cylindrical track (Urbassek & Johnson 1994, Bringa *et al.*, PRL, PRB, NIMB, Surf. Sci, etc. 1996-2011).
- Analytical models OK at low energy density but do not work at high energy density: pressure + surface effects + Non-LTE are a problem (Bringa *et al.*, NIMB + PRB).
- Hydrodynamic model fit to MD works very well (Jakas *et al.*, PRB, NIMB, 1999-2002).
- Simulation results for sputtering of Lennard-Jones model solid agree with simulations for more complex materials (Bringa *et al.*, Surf. Sci. 2000; Tucker *et al.*, NIMB 2005).
- Difficult to connect experimental  $dE/dx$  to energy deposited in simulation (Toulemonde, Tombrello, Szenes, etc., mostly in NIMB and PRB).
- Can use more complex models of track heating, for instance TTM (Toulemonde *et al.*, many papers PRB/NIMB).
- Results from Toulemonde, Beuve, and co-workers show variation of results when adding temporal and spatial effects in track heating (PRB, NIMB 2001-2008).
- TS useful for track formation simulations in bulk (Devanathan *et al.*; NIMB 2007, Schwen & Bringa, NIMB 2007; Kluth *et al.* PRL 2008, Duffy, several papers 2006-2010).
- Useful model: cluster-induced nuclear sputtering and damage (Brunelle NIMB 2004).

## Two questions ...

Given all the approximations and limitations involved ...

➔ Can we hope for quantitative agreement between MD and experiments when electronic effects are important?

OR ...

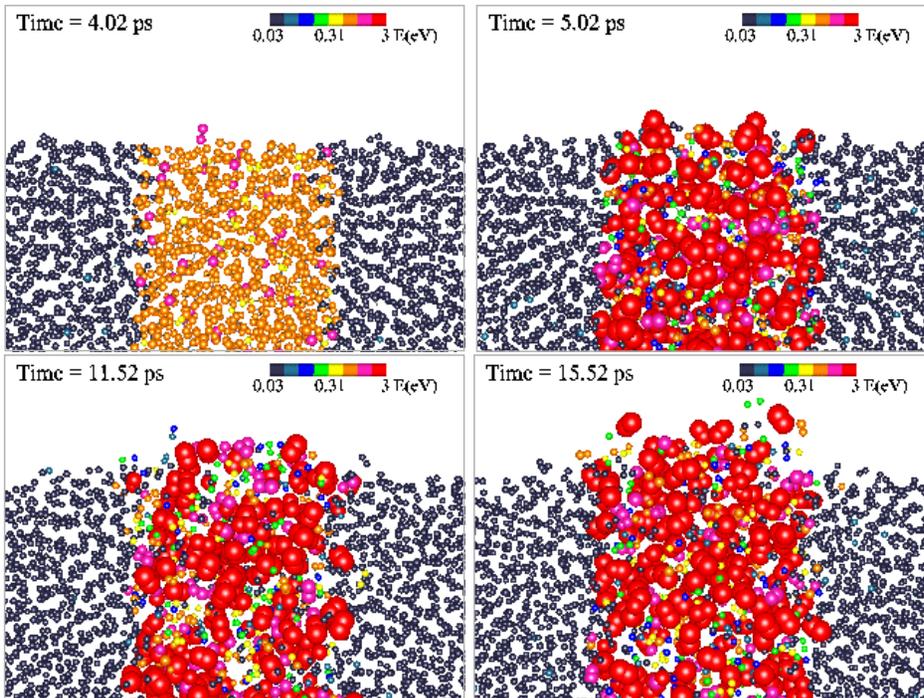
➔ Is MD just pretty movies and pictures?

# OUTLINE



- Background and Introduction
  - Track models
- Molecular Dynamics (MD) of damage in the electronic regime
  - Thermal Spikes, Two Temperature Models and Coulomb Explosions.
- Examples
  - Electronic sputtering, track formation: defects, phase change, craters & bumps
- Conclusions and future outlook

# Example I: Electronic sputtering of solid oxygen

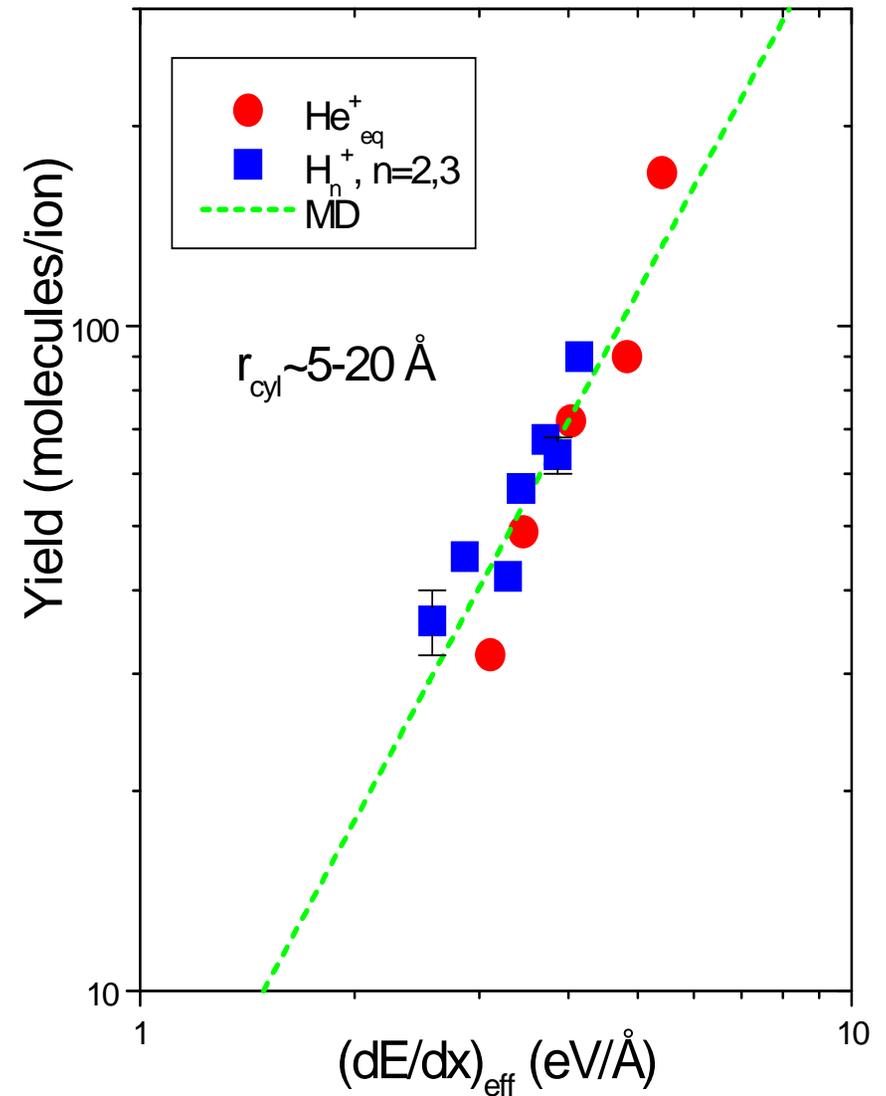


Vibrational Excitation of Solid O<sub>2</sub>, side view

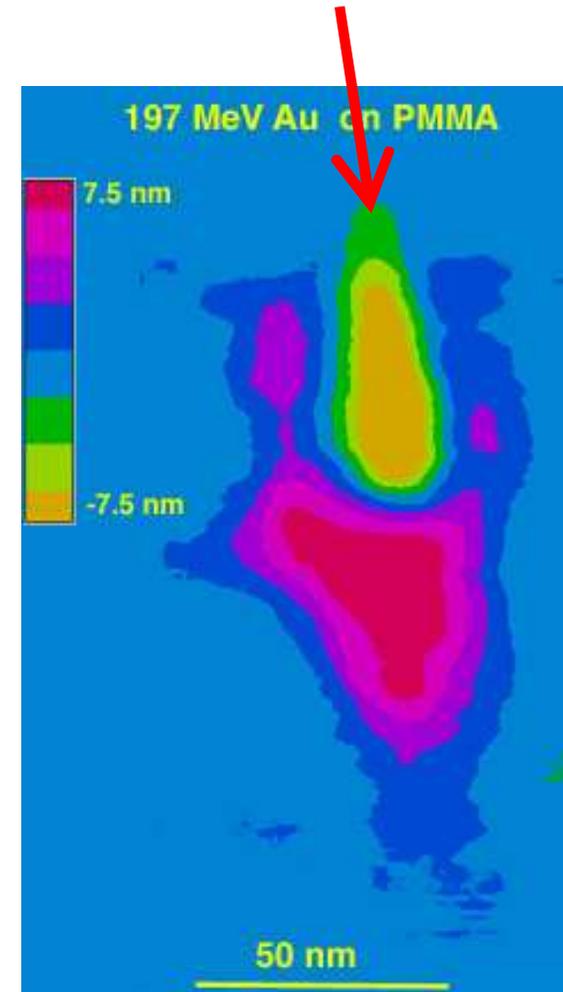
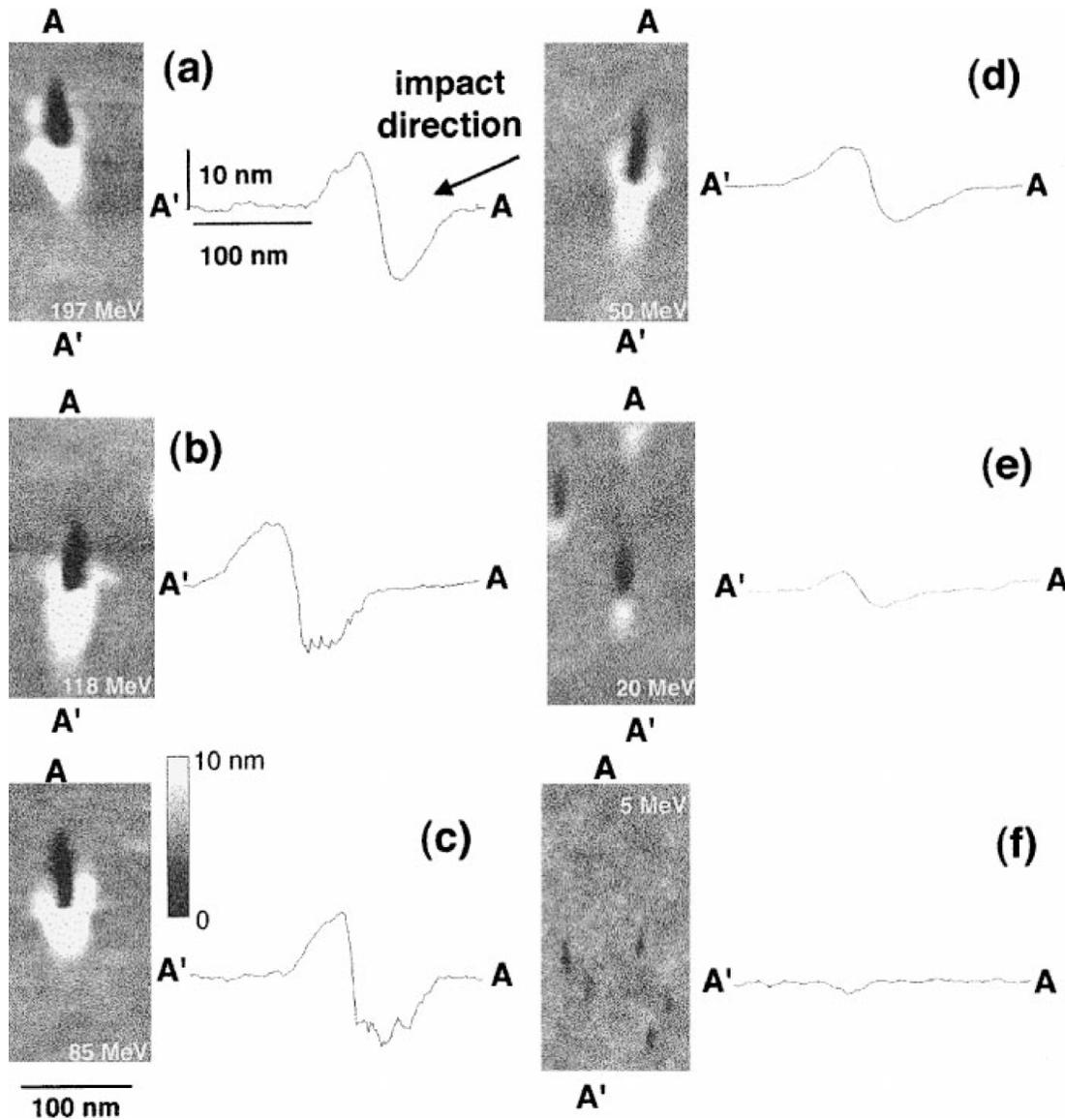
$r_{\text{cyl}}=6$ ,  $E_{\text{exc}}=4$  eV

Bringa and Johnson, Surface Science (2000)

Includes “velocity effect” in track size

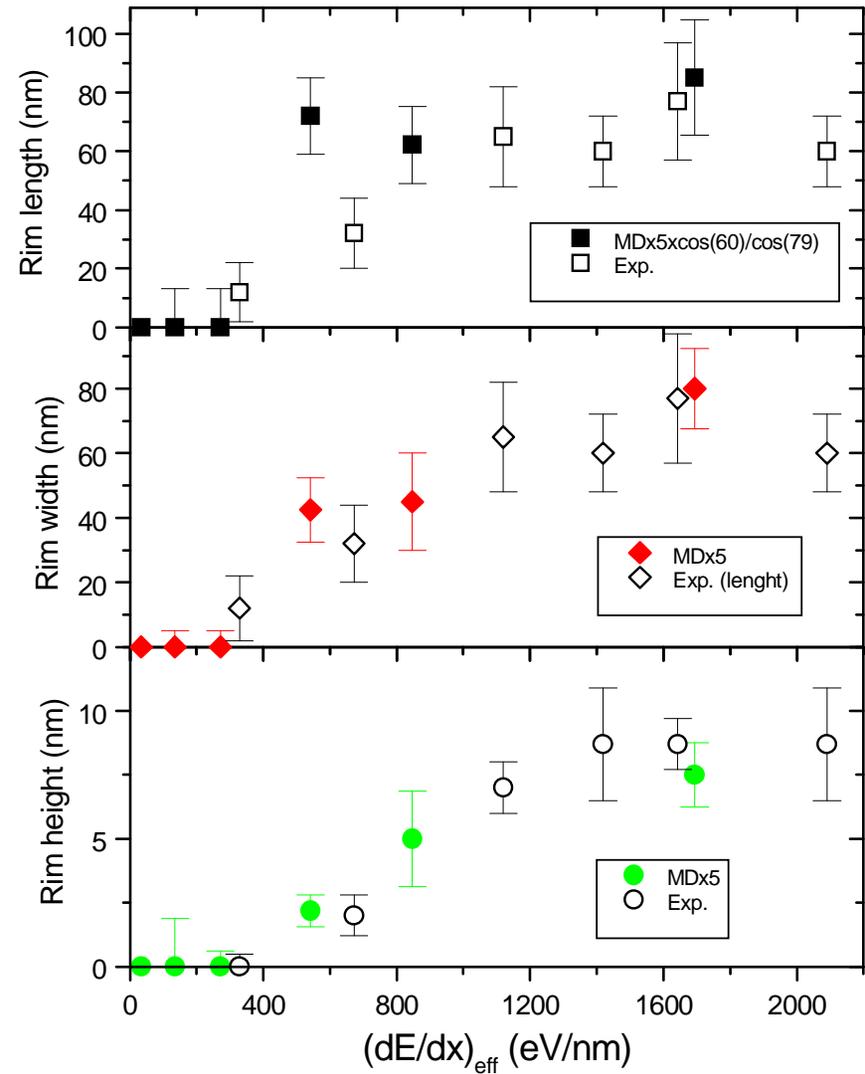
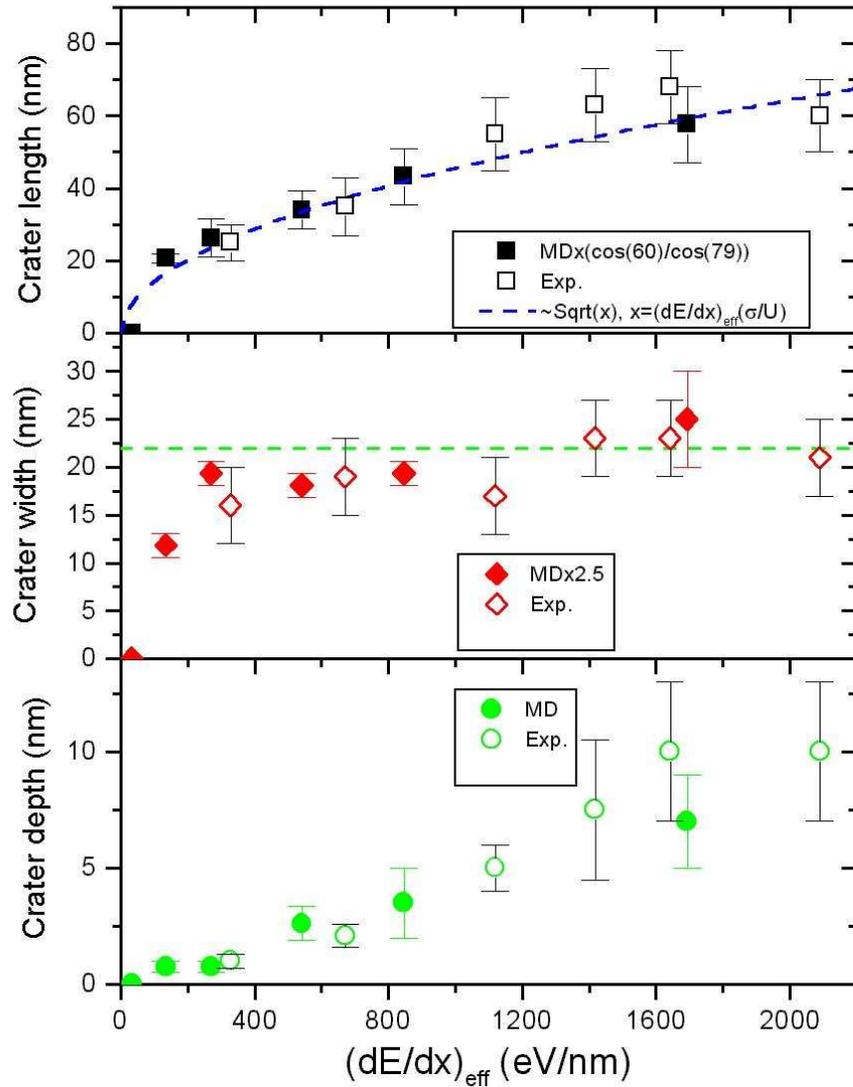


# Example II: Cratering in PMMA



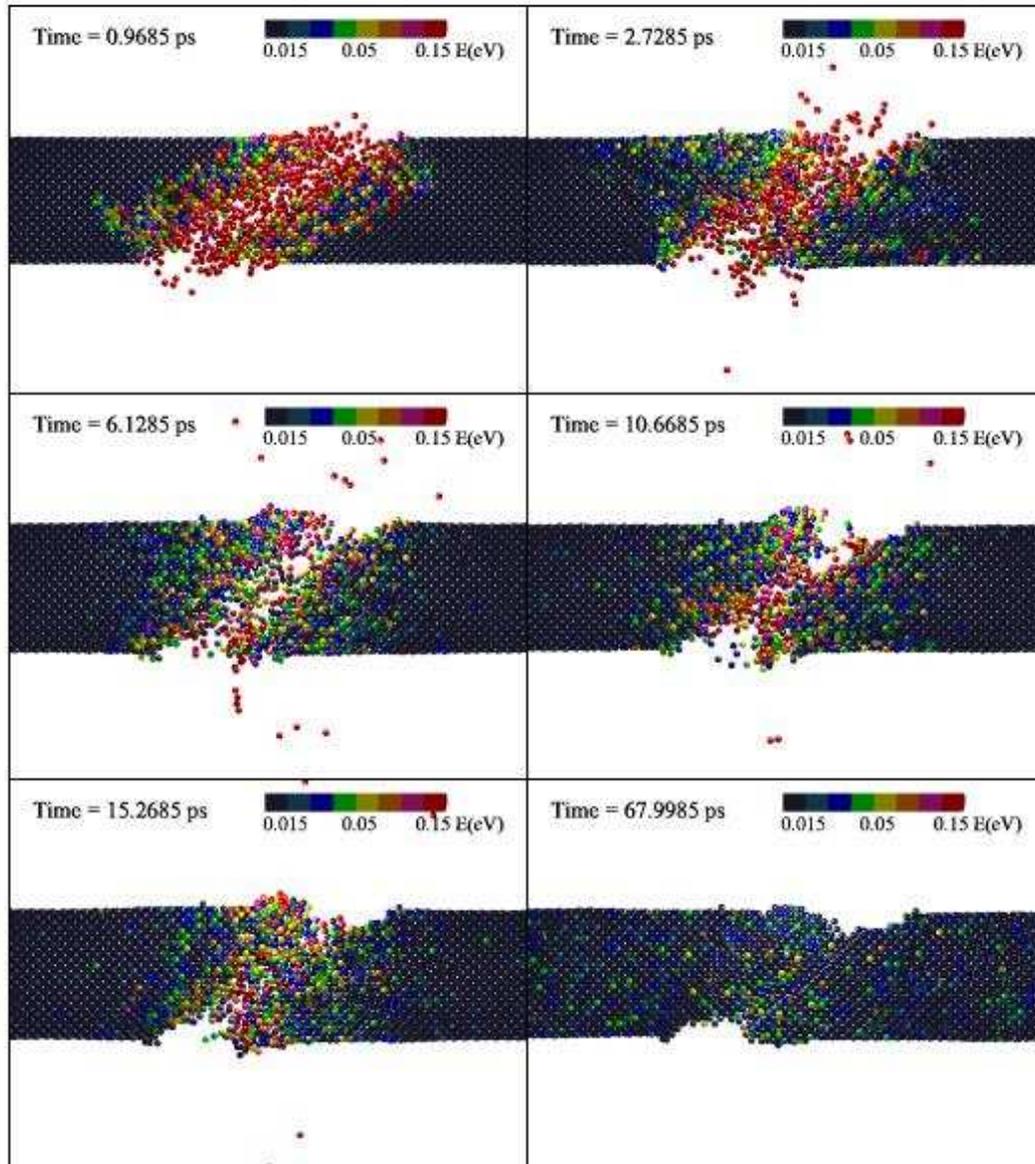
Experiments by R. Papaléo *et al.*  
(several papers)

# Crater size (R. Papaléo *et al.*) agrees extremely well with MD



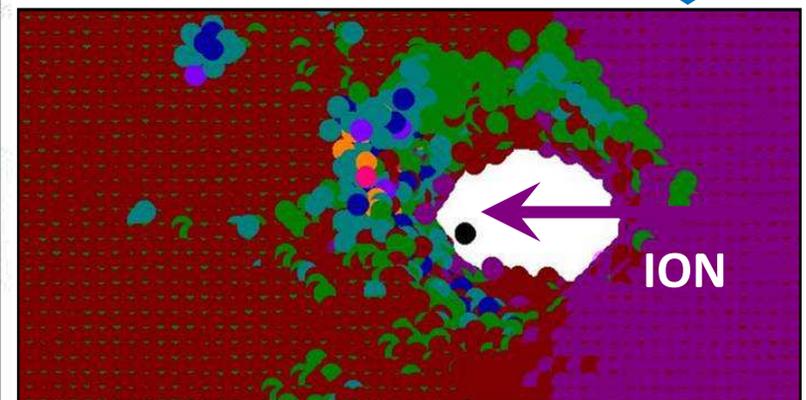
Bringa *et al.*, PRB, NIMB

# Example III: Can we create nano-holes? YES



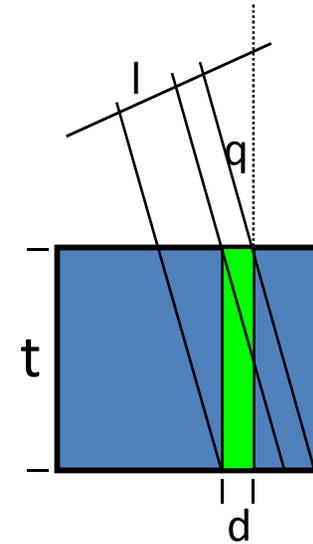
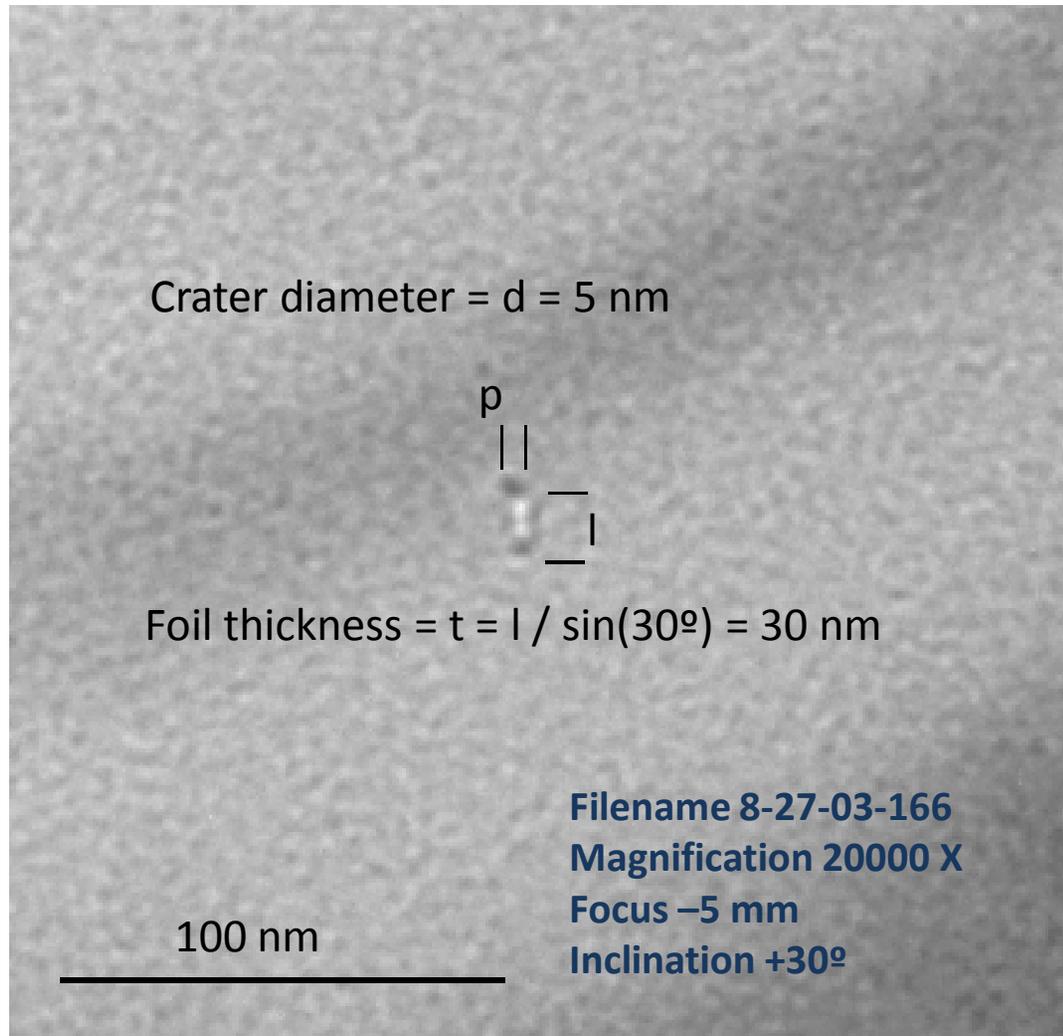
If the thin-film is too thick, the track not wide enough, or the energy deposited not high enough, only a crater is formed (no hole)

4 times more energy in the track (other parameters the same) → hole is formed!  
remains stable and cool after 100 ps

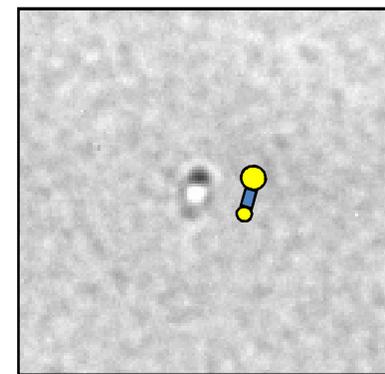


# TEM observation of double nano-craters

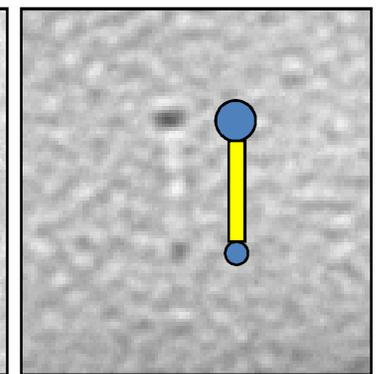
Follstaedt, Rossi and Doyle (SNL): Au (374 MeV) → sapphire



$\theta$ , angle of view  
 $t$ , foil thickness  
 $l$ , TEM 2-craters-  
 distance  
 $d$ , true crater  
 diameter  
 $p$ , TEM crater  
 diameter



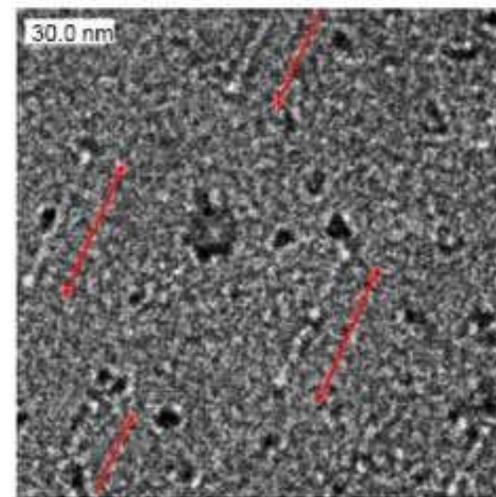
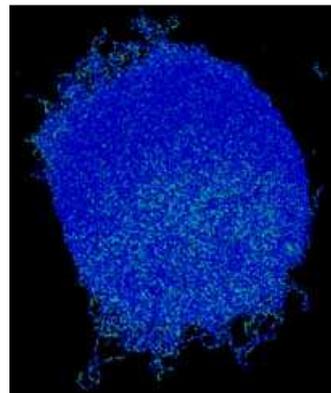
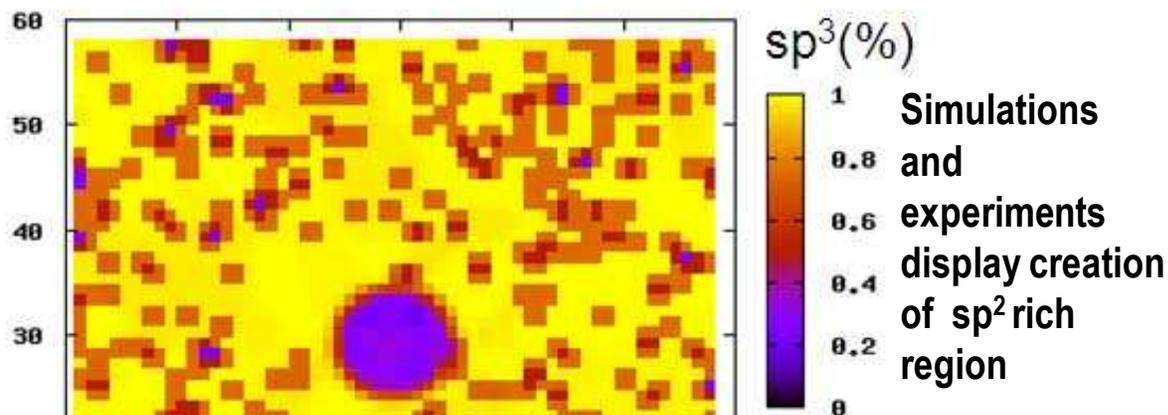
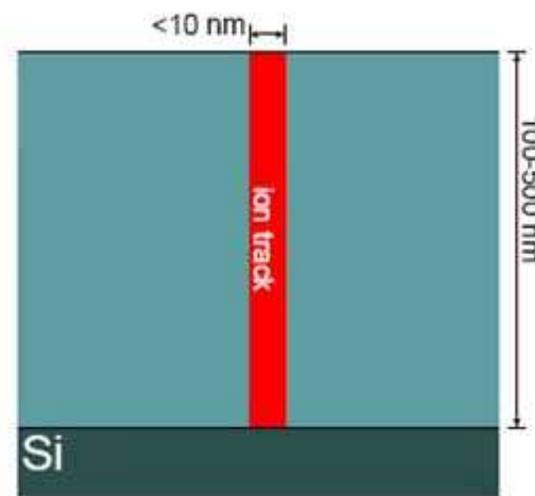
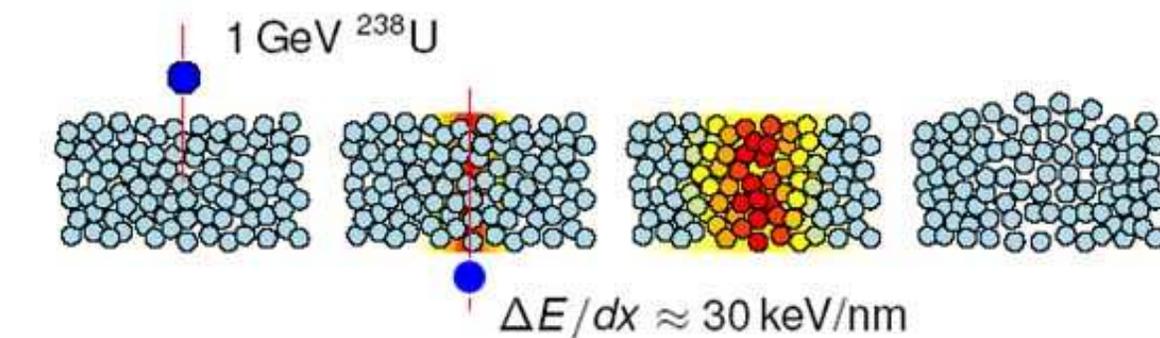
20°



45°

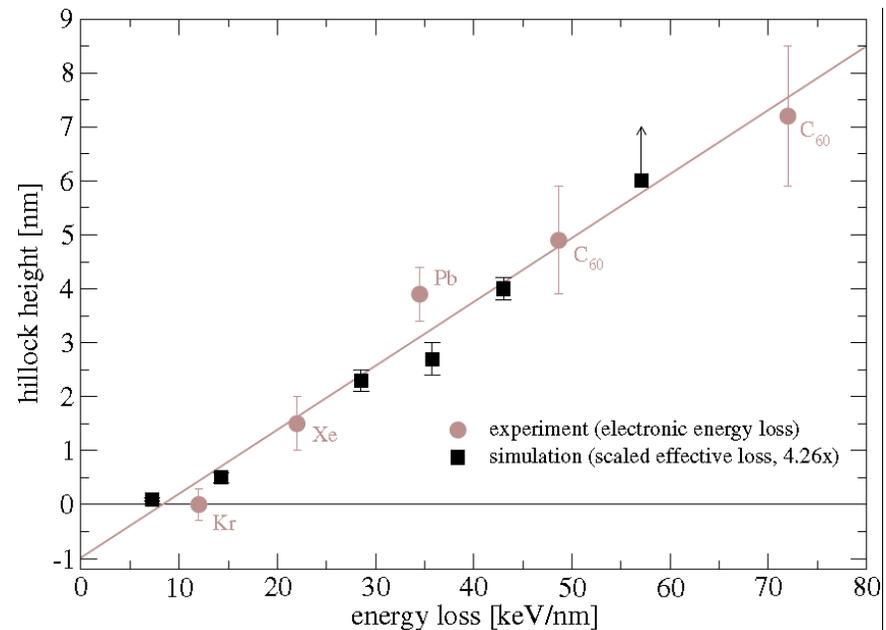
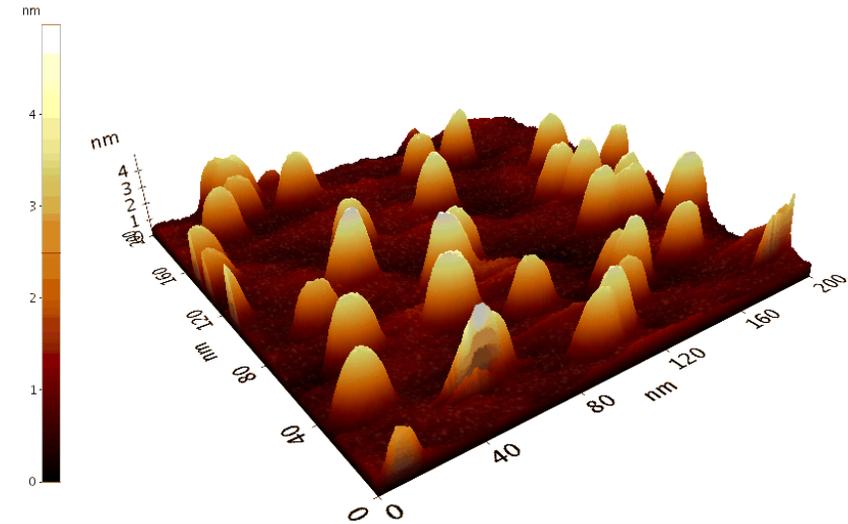
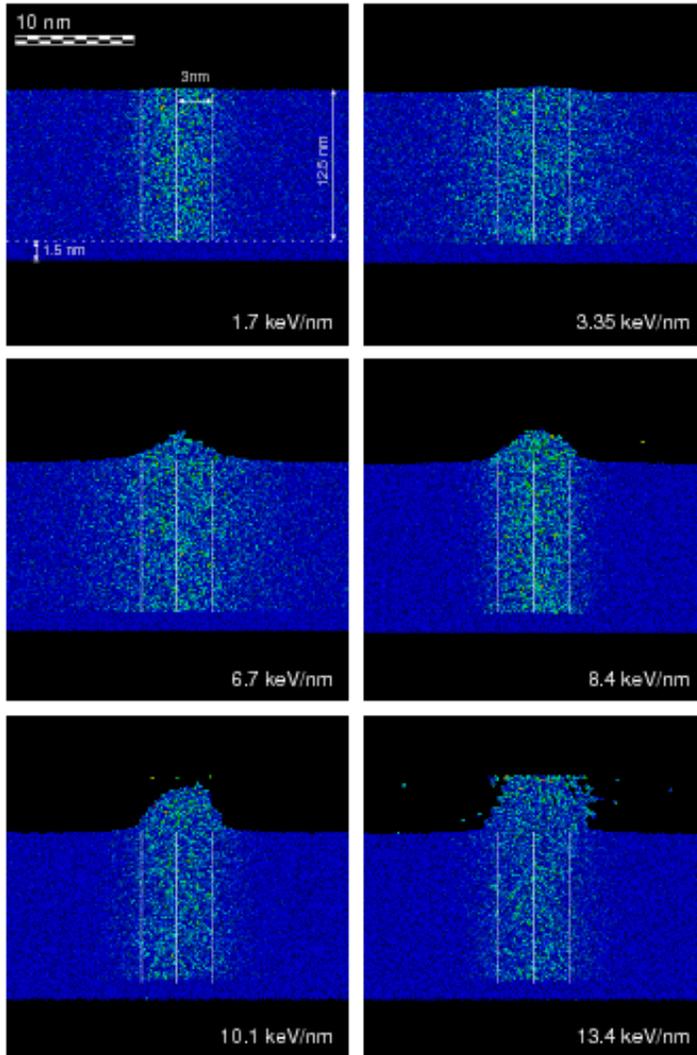
**Asymmetry in crater size possibly  
 due to  $\delta e^-$  asymmetry?**

# Example IV: Tracks in ta-C create conducting nano-wires



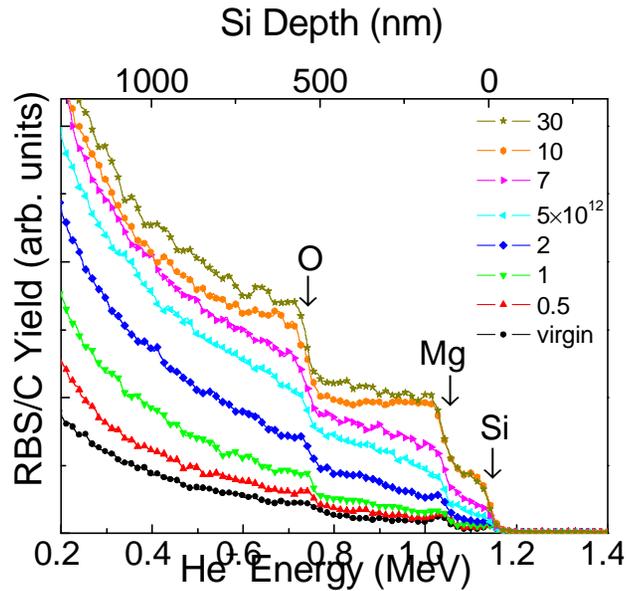
Cosmic ray destroying a carbon grain

# Hillock formation ( $2 \times 10^6$ atoms, modified Brenner potential)

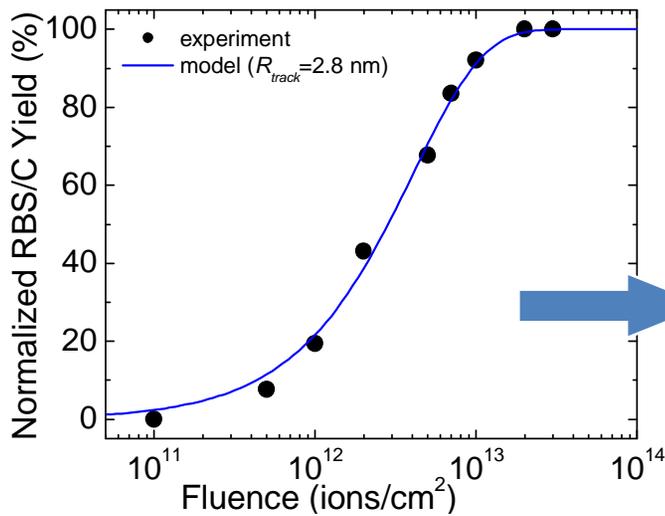
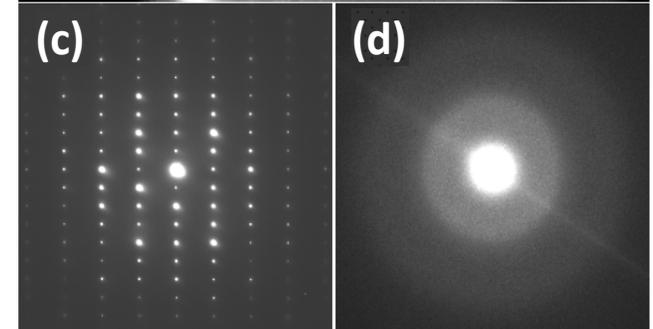
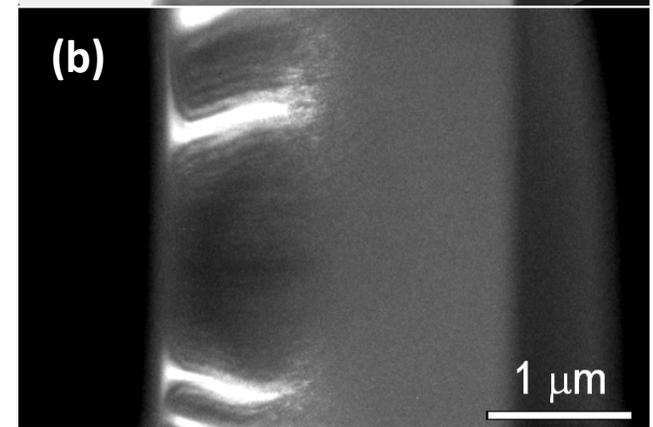
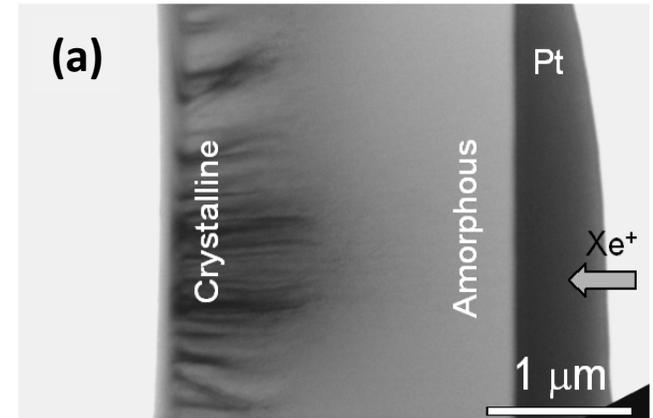


Schwen & Bringa, submitted (2011)

# Example V: Amorphization of forsterite ( $Mg_2SiO_4$ ) by electronic effects



**10 MeV Xe bombardment of single crystal forsterite**  
 S. Kucheyev and T. Felter (LLNL)



Amorphization dose calculated from RBS/C, and confirmed by TEM/XRD of irradiated samples

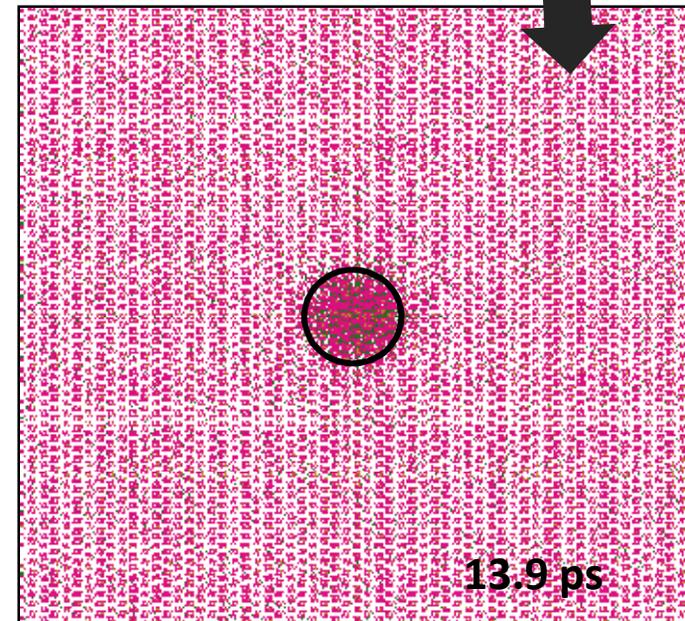
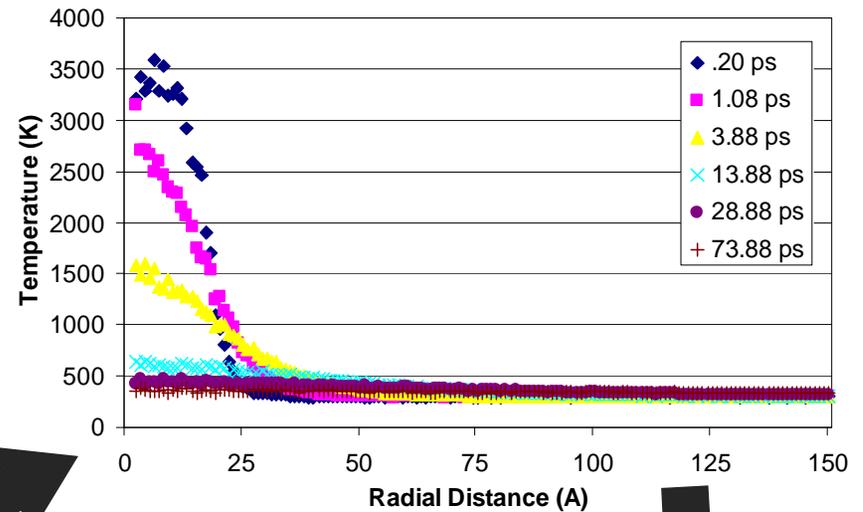
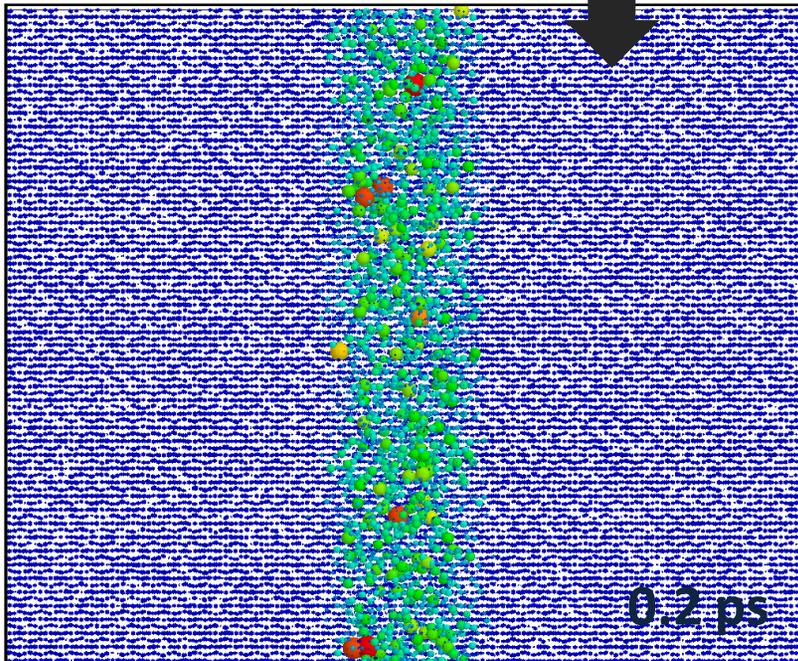
Bringa *et al.*, ApJ. (2007)

# MD simulations of amorphization

P. Durham (LLNL/Cincinnati), R. Devanatham, R. Corrales (PNNL)



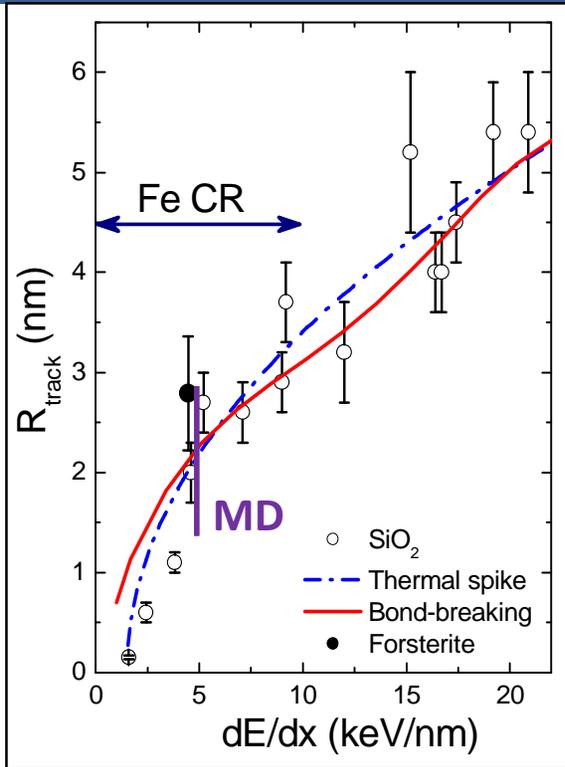
- DL\_POLY with parallel domain decomposition, 32-128 CPUs,  $10^4$ - $1.25 \cdot 10^6$  atoms.
- Buckingham potential + SPME
- Thermal spike model
- New local order parameter to detect amorphization



Devanatham *et al.*, NIMB (2007)

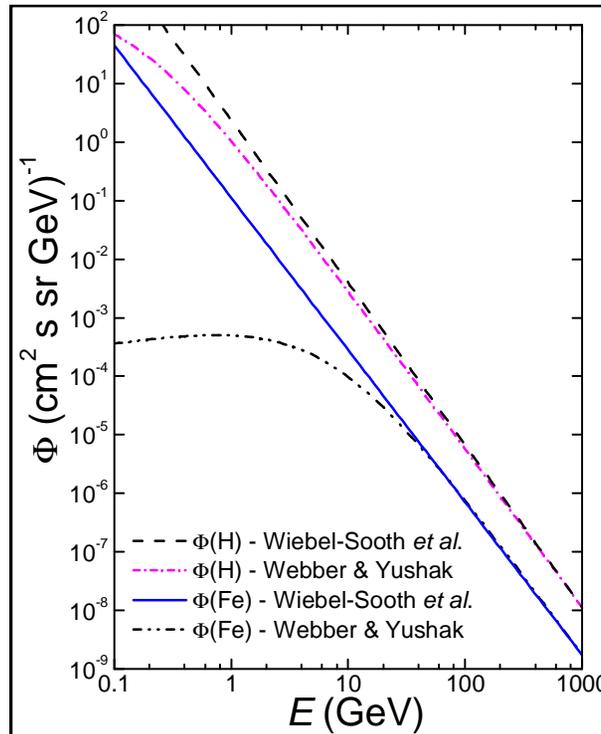
# Silicates can be amorphized by cosmic rays

Amorphous Track Radius vs. Electronic Stopping Power



- 10 MeV results for forsterite fall on  $dE/dx$  curve
- $R_{\text{track}} \rightarrow$  amorphization dose
- Expect similar results at higher (CR) energies

New model of Cosmic Ray Flux



- Cannot compare to measurements including solar modulation ... but ...
- Modulation due to minimum escaping energy  $\sim 100$  MeV

Dose to amorphize forsterite “low” ( $\sim$ dose to amorphize  $\text{SiO}_2$ )

+ “Low dose” can be achieved in space



grain in space could be amorphized by CR



Astrophysical puzzle solved!

E.M. Bringa *et al.*, *Astrophys. J.* (2007)

# Example VI: Sputtering yield of porous solids

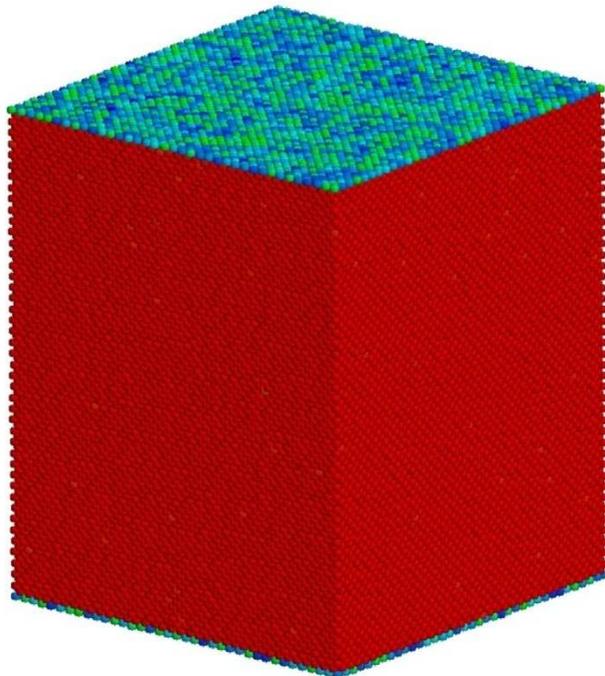
(Rodriguez-Nieva *et al.*, *Astrophysical J. Letters*, 2011)



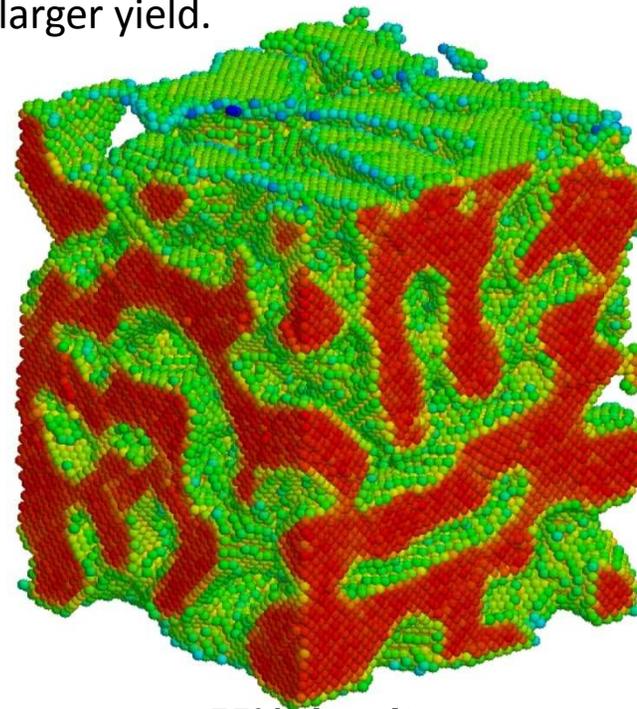
There are no reliable analytic or semi-analytic models of sputtering as a function of density for porous materials. “Exception”: Johnson, *Icarus* **78**, 206 (1989).

**What can we expect? (Assume  $dE/dx$  does not depend strongly on geometry)**

- 1) Fewer electronic excitations  $\rightarrow$  lower energy density  $\rightarrow$  lower yield
- 2) Larger effective surface  $\rightarrow$  higher yield
- 3) Atoms can be ejected from depth thanks to pores  $\rightarrow$   
if sticking is large  $\rightarrow$  lower yield; if sticking is low  $\rightarrow$  larger yield.

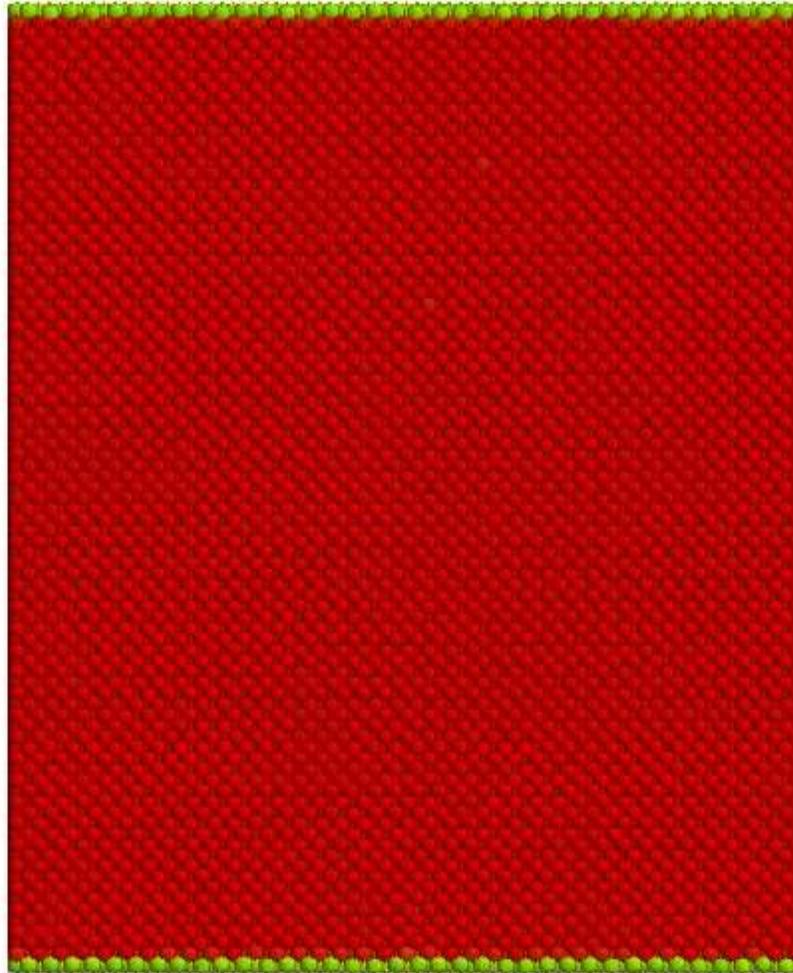


*100% density*

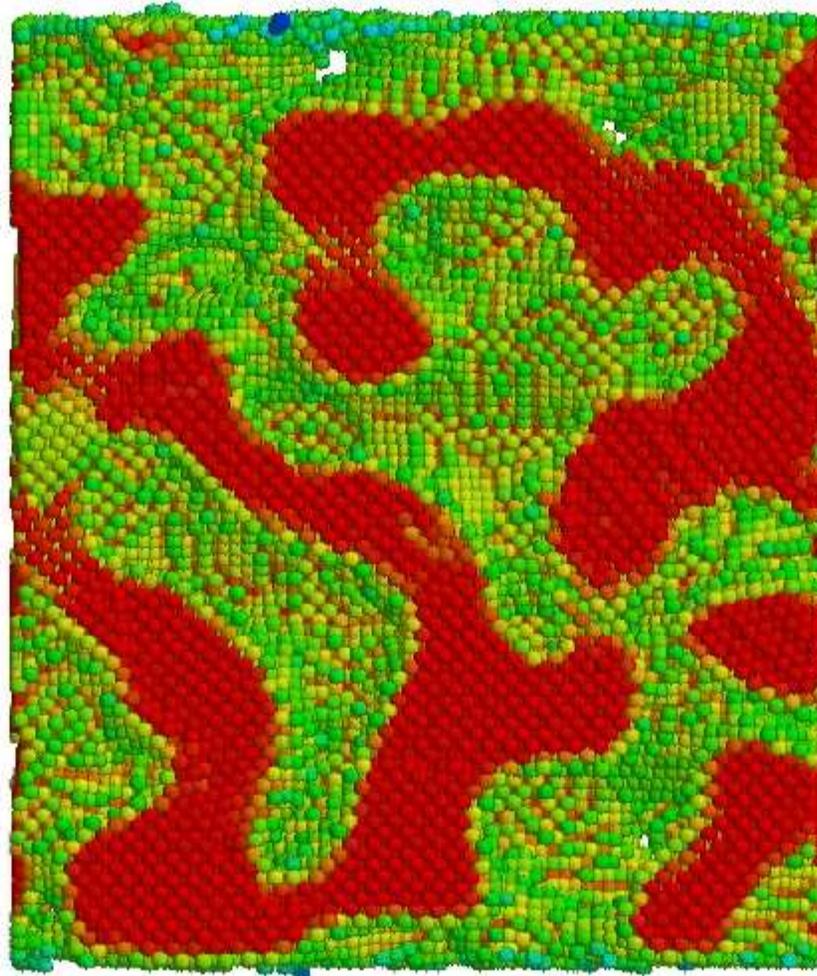


*55% density*

# Sputtering from a “dense” solid



# Sputtering yield from nanofoam ~sputtering for bulk solid



## CONCLUSIONS



- **Simple models can account for many experimental results!**
- But **cannot** account for many other experimental results ....
- Poor understanding of: synergy between nuclear and electronic  $dE/dx$  + nuclear reactions,  $dE/dx$  at surfaces or nanostructures (islands, foams, nanoprecipitates, interfaces, etc.), charge-state effects (in  $dE/dx$ , ion ejection, charge exchange for both target & projectile, etc.),  $dE/dx$  for cluster projectiles, statistics of  $dE/dx$  and track size, etc.
- Beware of limitations due to system size and total simulated time!
- Empirical potentials offer severe constrains and have to be used with care:
  - where they were not intended to be used (phase transitions; high P/T; core-shell potentials for oxides problematic in radiation simulations).
  - where classical MD does not work properly (high P/T).

## FUTURE- I



- Multi-scale models needed for improved simulations:
  - coupling to FEM for larger system size;
  - more general accelerated dynamics or KMC for defect evolution;
  - coupling to MC/DFT/TB/TDDFT/naTB for better excitation treatment
  - empirical potentials which depend dynamically on electronic state (high P/T, excitations, electron density – Khakshouri *et al.*, PRB 2008-), etc.
- Better ion-electron models are already available and are discussed by several presentations in this workshop (Artacho, Caro, Correa, Fisher, Foulkes, Lu). The electron Force Field potential (eFF, Su & Goddard, PRL 2007) is another option for light elements.
- Still lacking reliable and efficient models for **swift heavy ions**.

## FUTURE- II



- More CPU/**GPU** processing for MD parameter sweeping will speed up research, allowing for improved models, better potentials, and increasing statistics and parameter sweeping. LAMMPS/DL\_POLY, etc. already have GPU versions.
- Need more links to experiments: measurement of surface and bulk defects (AFM/STM/TEM simulation –Victoria’s talk-), IR spectra (Caturla *et al.*), X-ray diffraction simulation, mechanical properties, etc.
- Similarities with electronic excitations by photons (UV, lasers) should be exploited.
- **Need more experiments!**