



**The Abdus Salam  
International Centre for Theoretical Physics**



**2419-9**

**Workshop on Large Scale Structure**

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**On the importance of feedback modelling for weak lensing precision cosmology**

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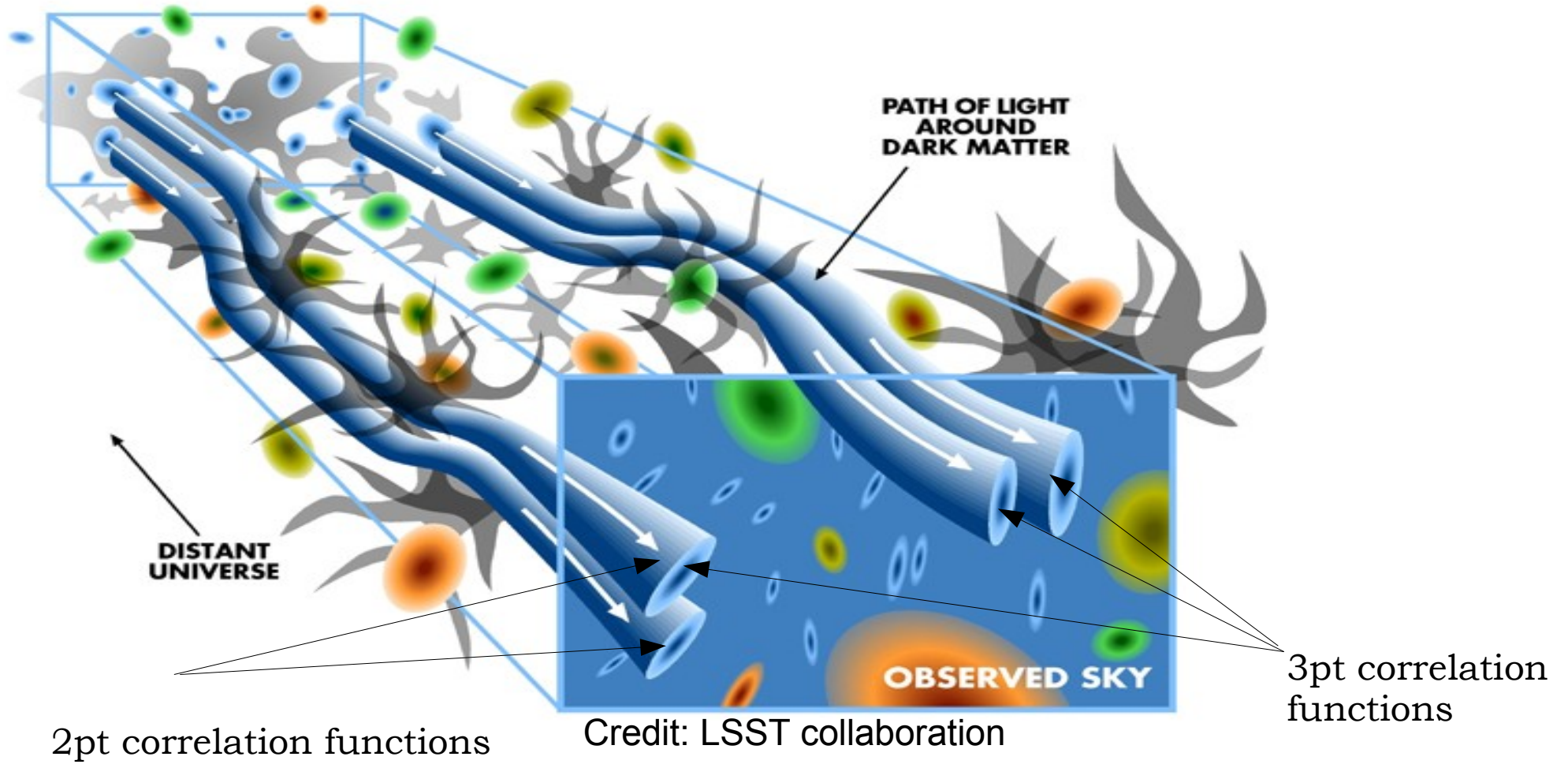
# ON THE IMPORTANCE OF BARYONIC FEEDBACK MODELLING FOR WEAK LENSING PRECISION COSMOLOGY

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Leiden Observatory

# Cosmic Shear statistics

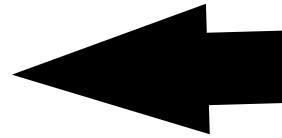


# The nature of the accelerated expansion

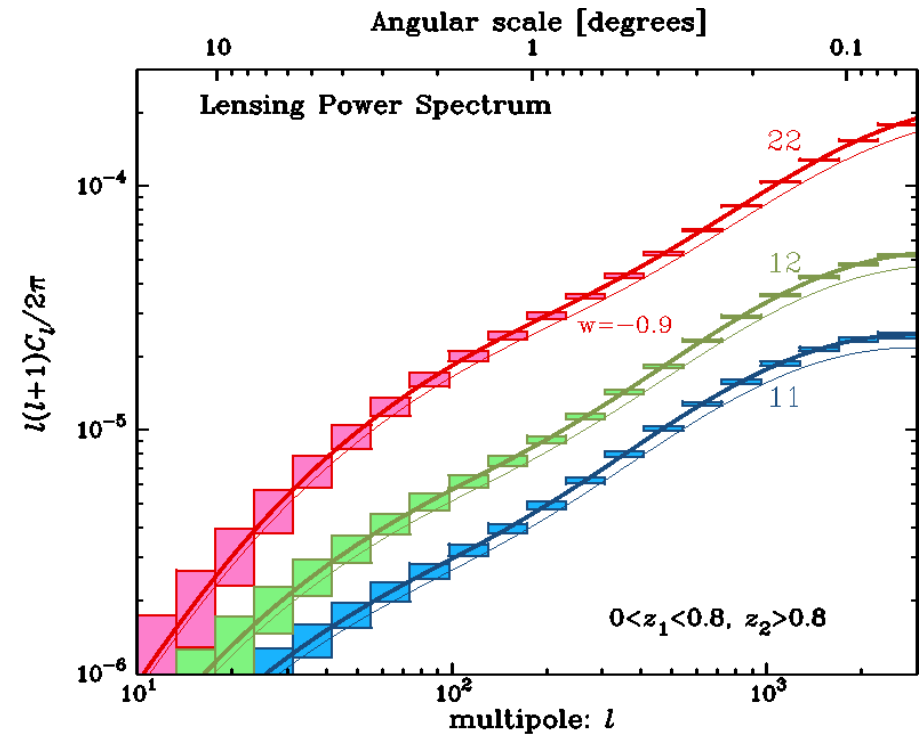
Expansion history  
Growth of structures



Dark energy  
Test of gravity

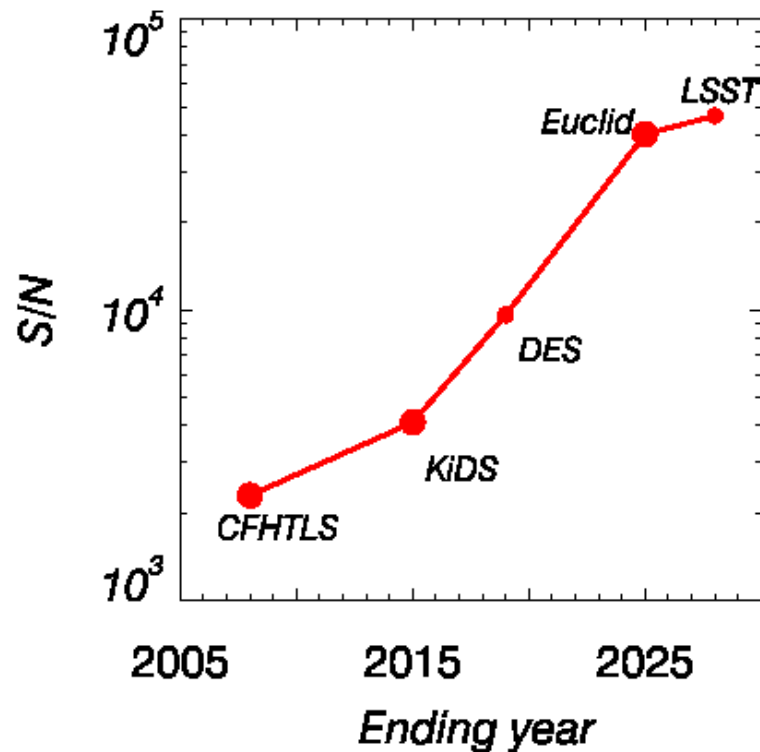


## Cosmic shear tomography



Credit Hoekstra & Jain (2008)

## Increasing of the statistical power with time



In order to constrain the parameters of the equation of state of the dark energy one needs to model the non linear matter power spectrum to the percent level accuracy in the range  $0.1 < k < 10 \text{ h/Mpc}$

see F. Bernardeau and M. Crocce talks

See also: Hybrid PT + halo-model (Valageas & Nishimichi)

## Why cosmic shear statistics?

- Sensitive to growth and geometry
- Complementary to other cosmological proofs
- Pristine measurement of the matter power spectrum... not so true that it is “easy” when you want to look at percent effects.
- **Baryons represent 17% of total matter content can we neglect them ?**
- **If not then which baryonic feedback should we be consider as the “good” one?**

# OWLS: (Schaye et al 2010)

Size=120 Mpc/h  $M=4.06 \cdot 10^8 M_{\text{sun}}/h$  (dark matter)  
 $M=8.66 \cdot 10^7 M_{\text{sun}}/h$  (baryons)

**Same initial conditions.**

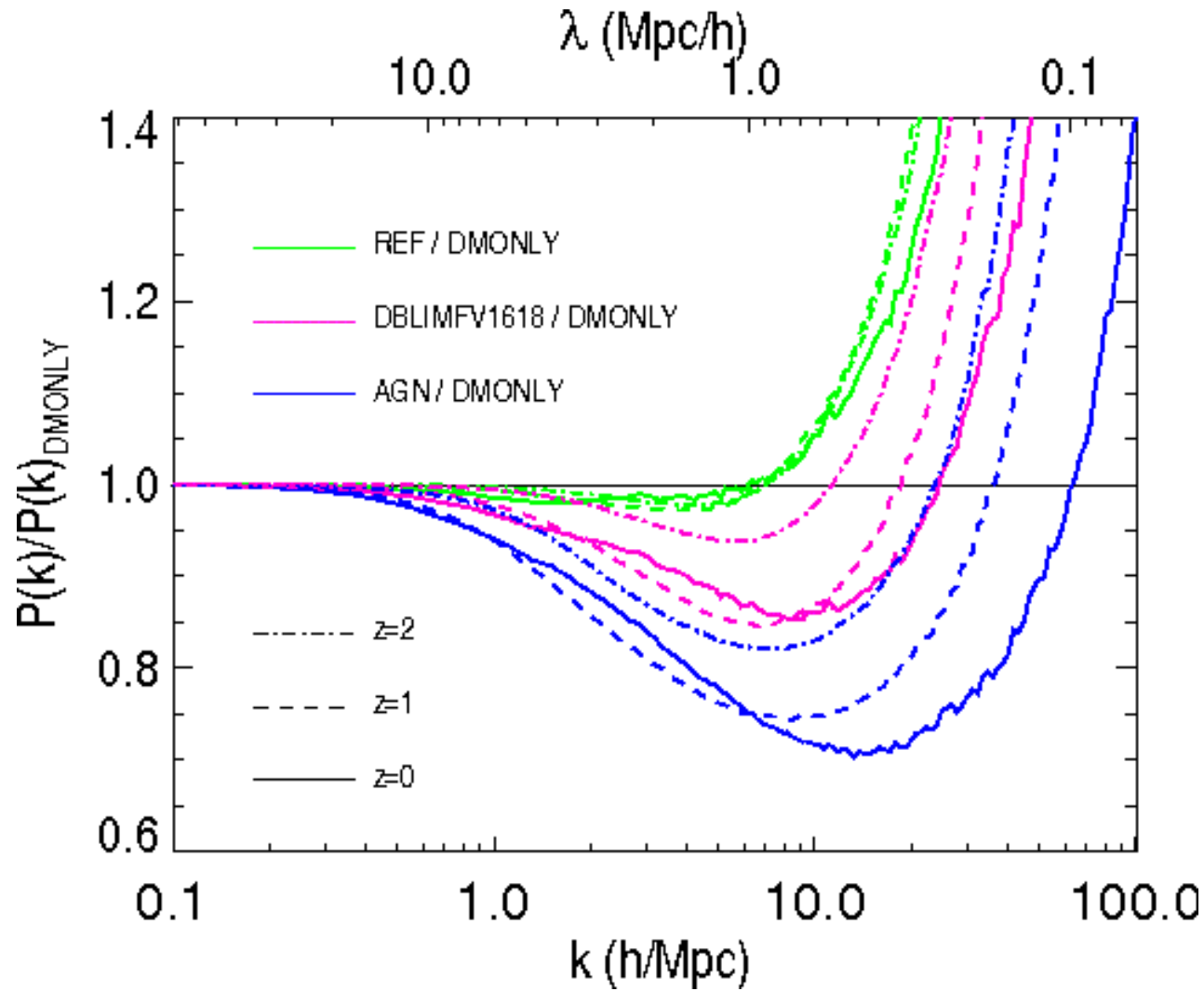
**DMONLY:** Dark matter only N-Body simulation

**REF:** Hydrodynamic simulation with star formation, radiative cooling, SN feedback

**DBLIMFV1618:** REF with modified IMF in high pressure regions (Baugh et al. 2005)

**AGN:** REF + AGN (Booth & Schaye 2009)

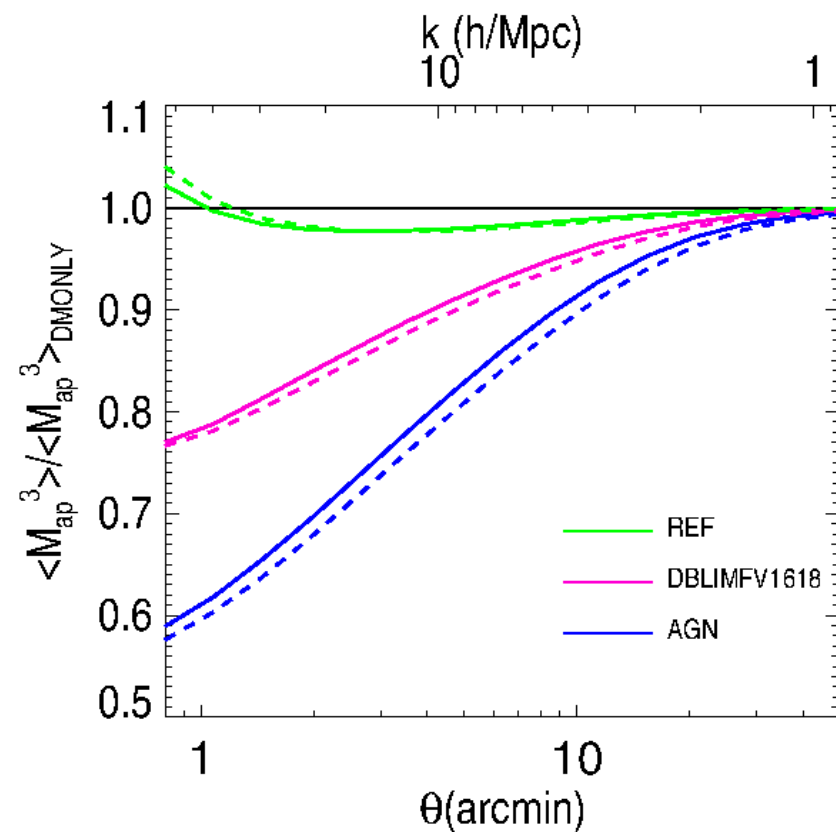
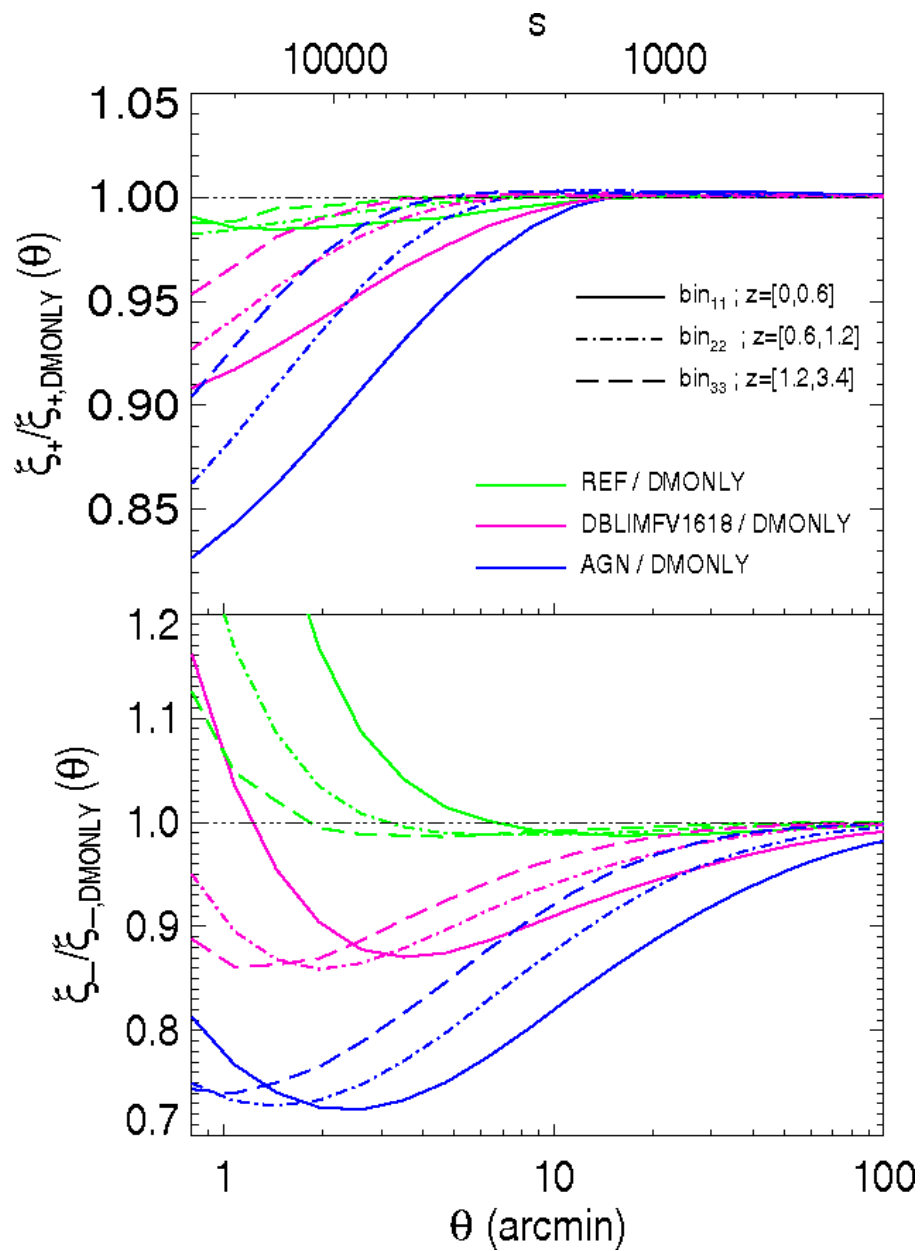
# Effect of feedback on $P(k)$



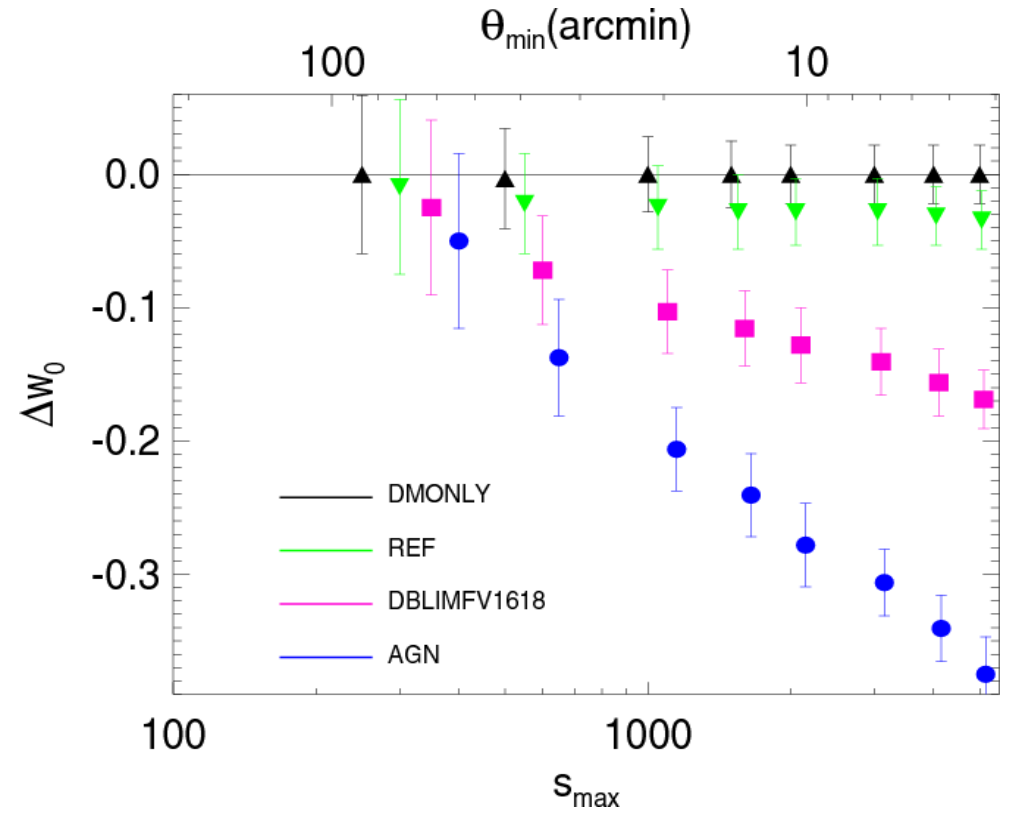
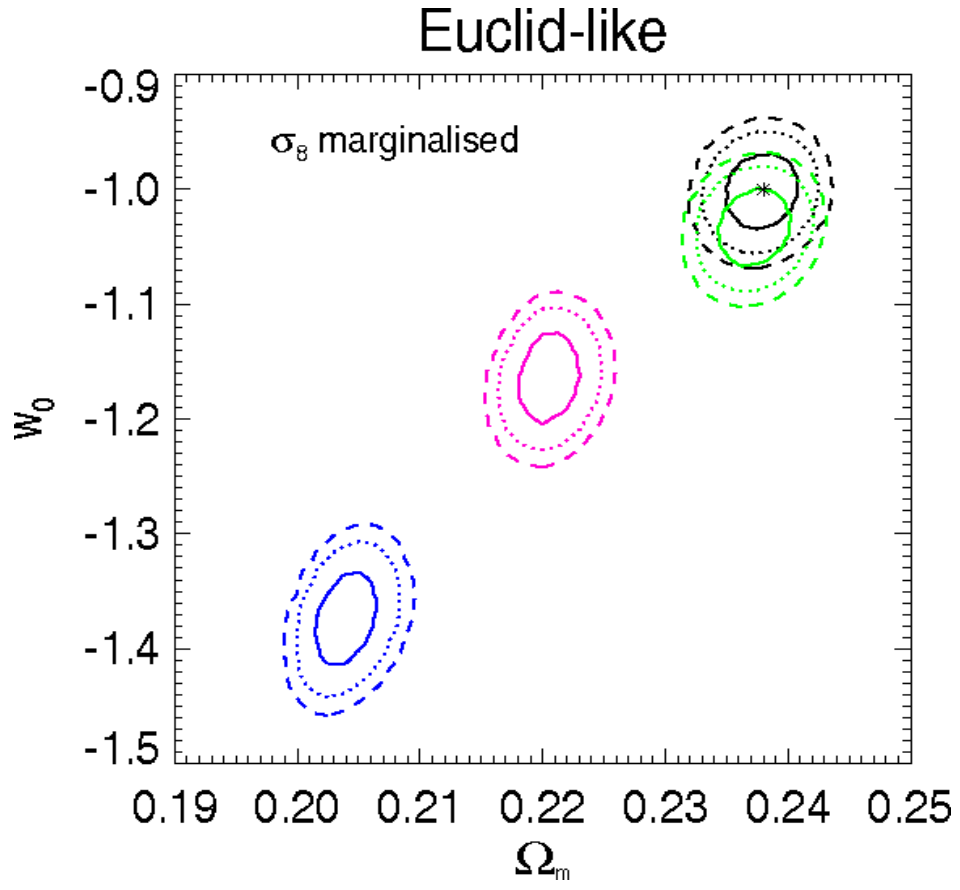
Semboloni et al. (2011)  
van Daalen et al. (2011)



# Effect on cosmic shear statistics



# Ignoring the baryonic feedback



Modelling the effect of baryonic feedback  
it is actually very important!

## Halo model approach

The halo-model provides a quite natural way to correct for baryonic feedback (Seljak 2000)

$$P^{tot}(k) = P^P(k) + P^{2h}(k)$$

$$P^P(k) = \frac{1}{(2\pi)^3} \int d\mathbf{v} M(\mathbf{v}) f(\mathbf{v}) \frac{M(\mathbf{v})}{\bar{\rho}} [y(k, M(\mathbf{v}))]^2$$

$$P^{2h}(k) = P_{lin}(k) \left\{ \int d\mathbf{v} M(\mathbf{v}) f(\mathbf{v}) b(\mathbf{v}) [y(k, M(\mathbf{v}))] \right\}^2$$

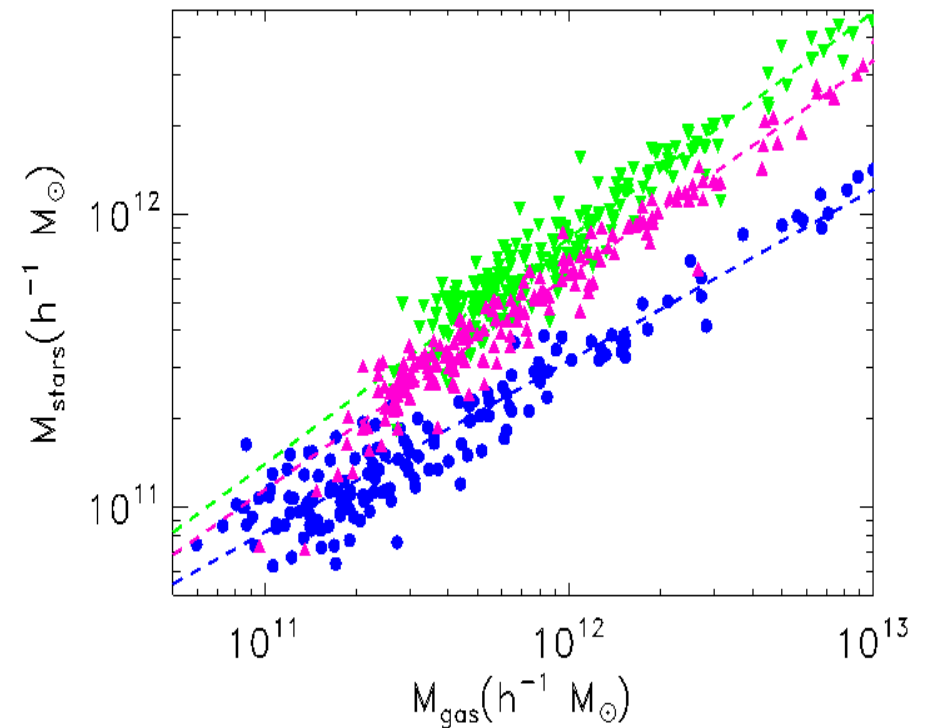
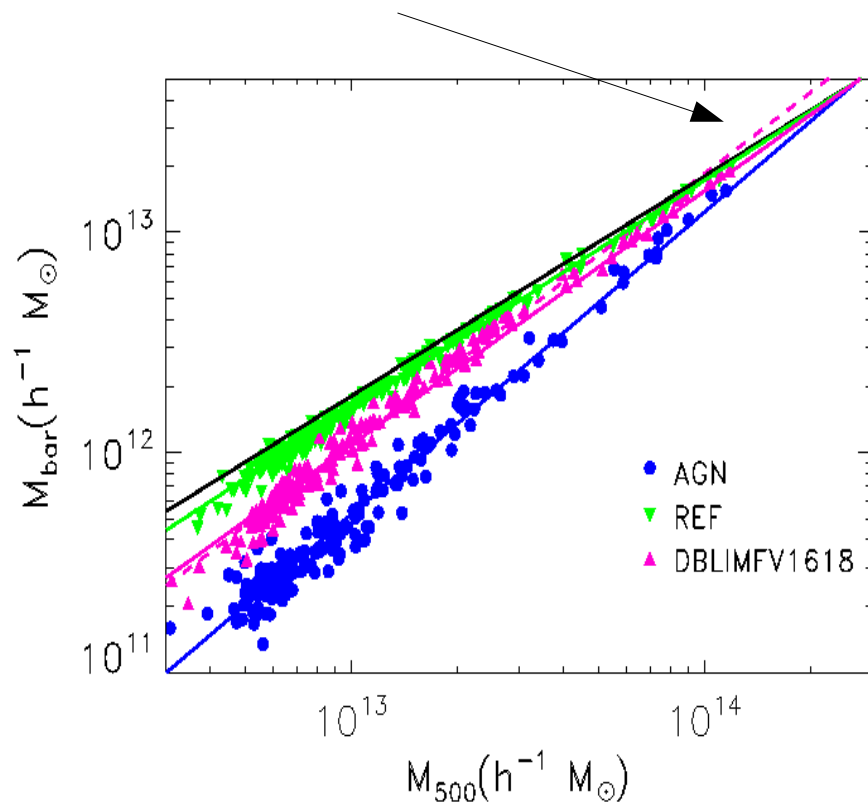
$[y(k, M(\mathbf{v}))]$  is the Fourier transformed of the halo profile

**Can we change this profile to account of feedback ?**

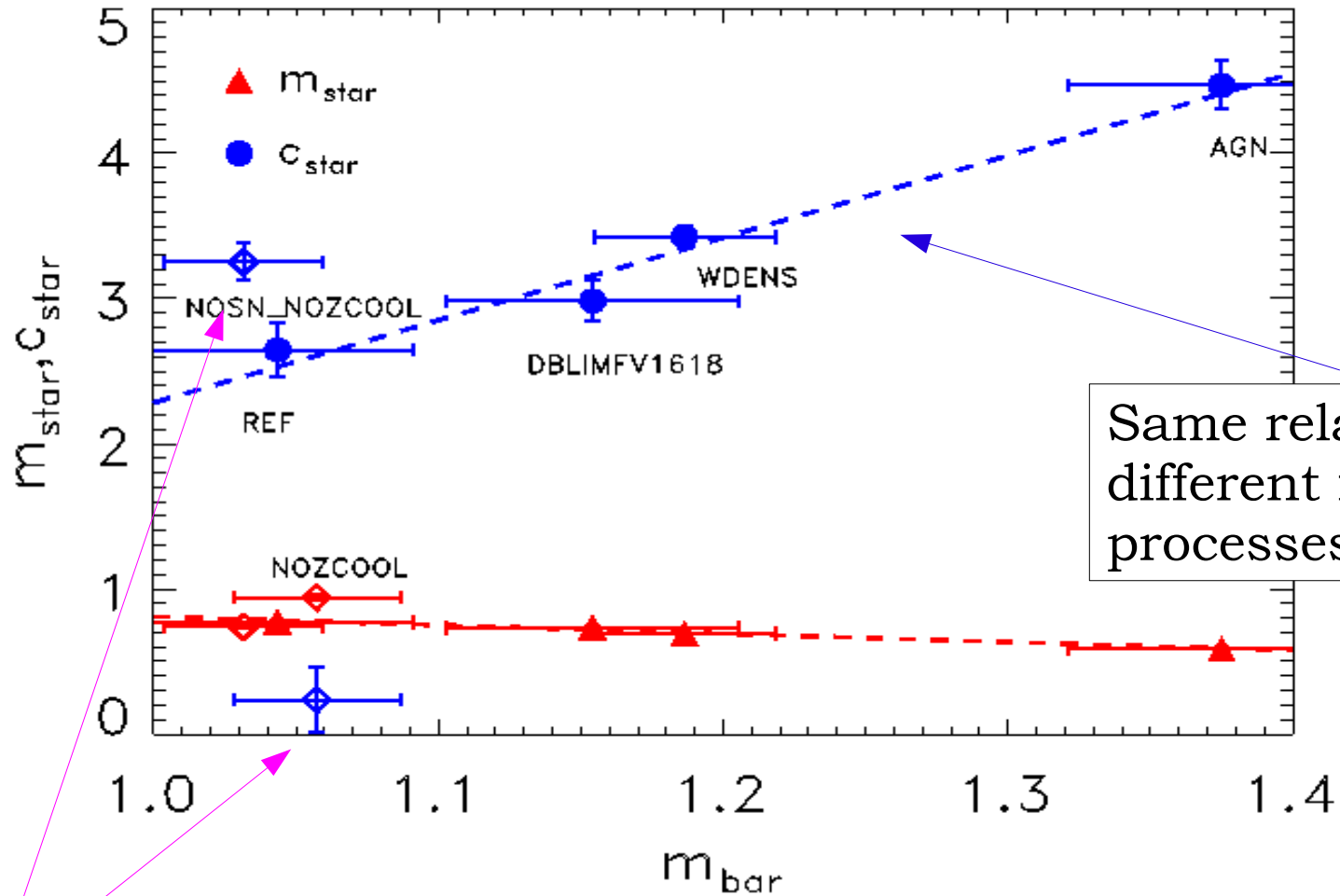
# The correct framework

If we are not certain of which simulations are good representations of reality we can try to build a model we can (partially) constrain with real observations?

$M(500)=2 \cdot 10^4 M_{\text{sun}}/h$  universal fraction reached



# Baryonic fraction-stellar mass relation

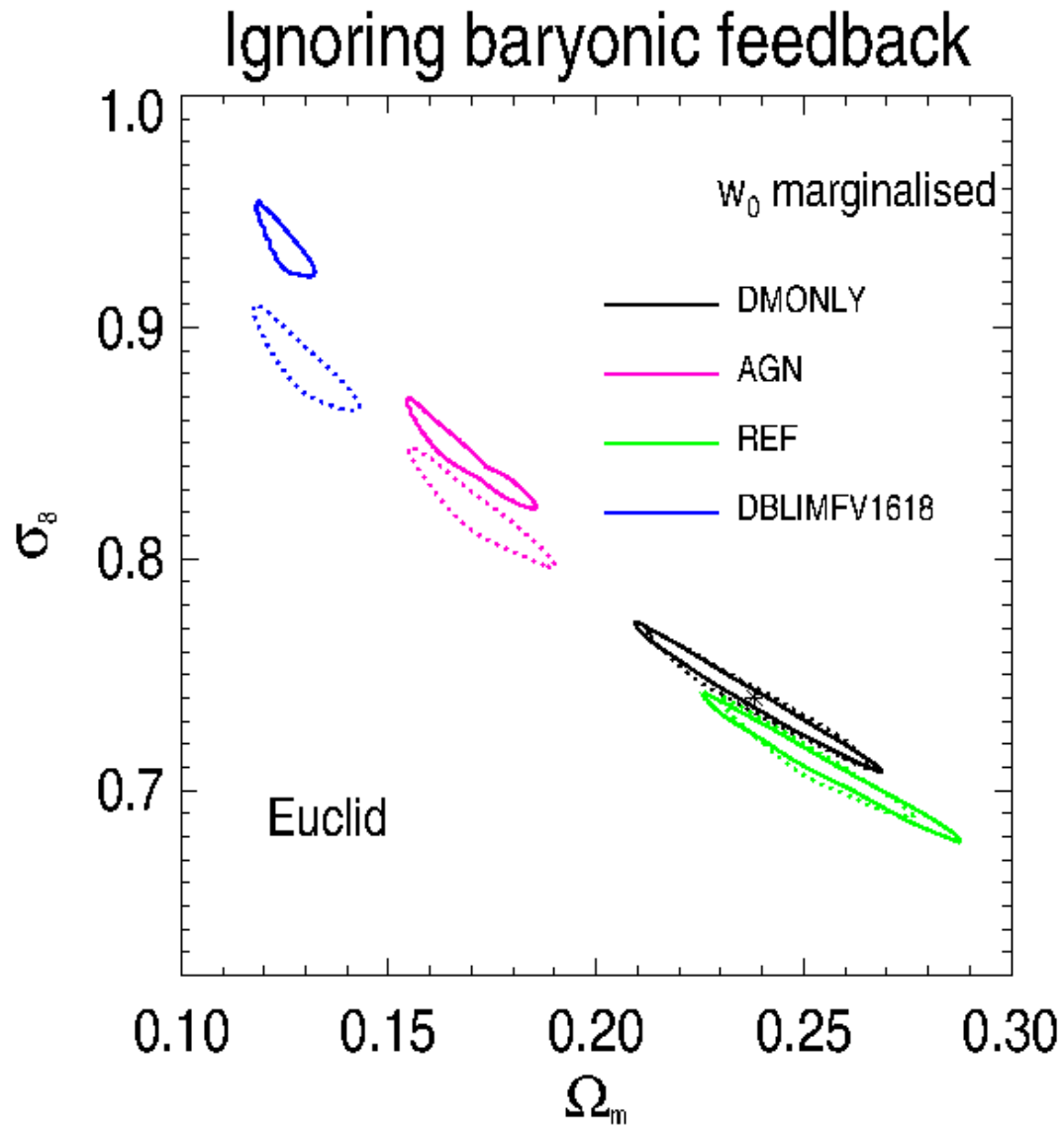


Same relation from different feedback processes.

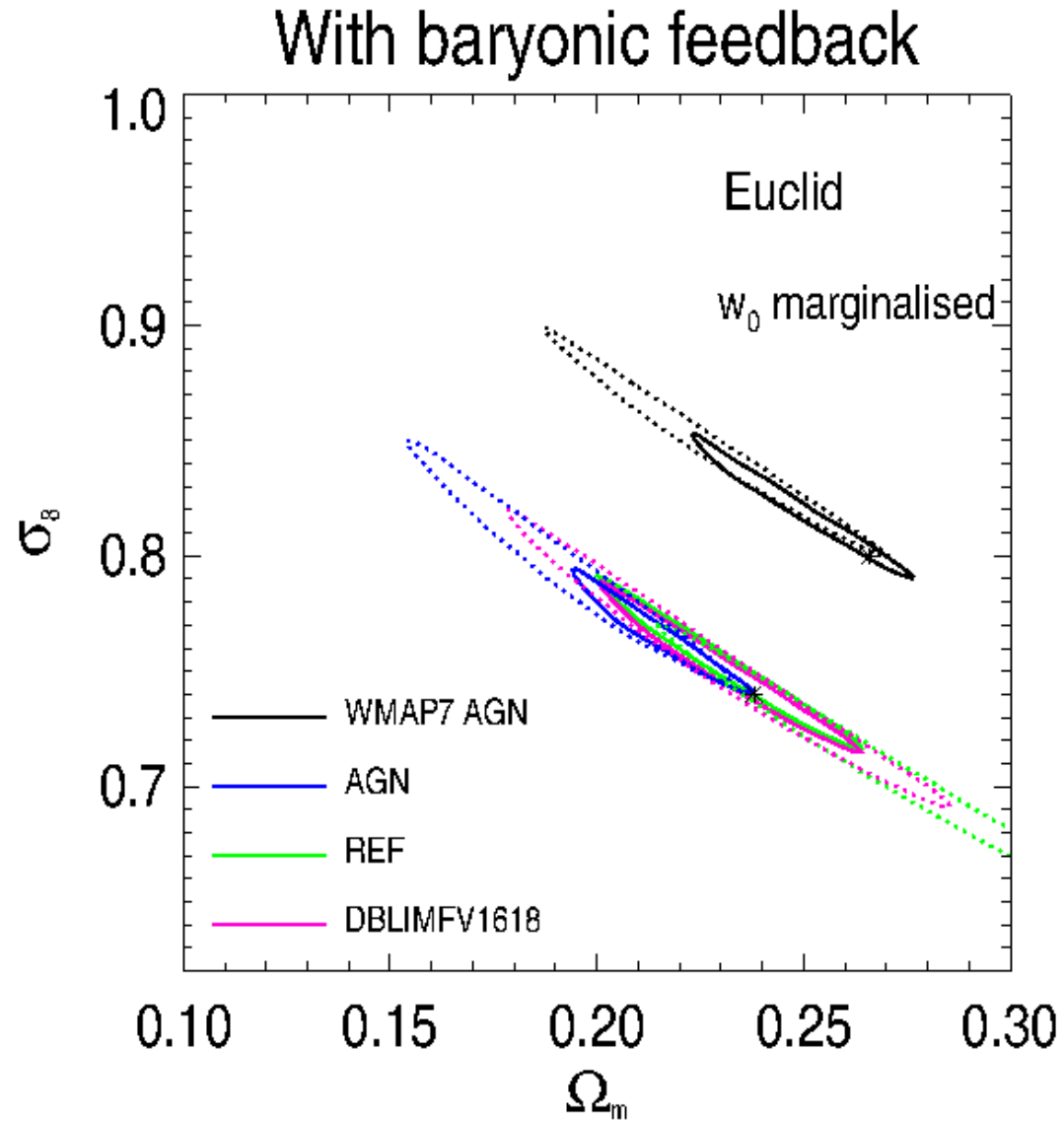
Increasing energy injected to the surrounding

Models with no metal line cooling:  
very different IMF

# Can cosmic shear tell us about baryonic feedback?



# Calibration of baryonic feedback



## **Conclusions and outlook**

- Ignoring the fact that baryons do not follow the DM can be a source of significant bias
- Constructing a model that capture the modification to DM-only models introduced by baryonic physics is maybe possible
- It is important to put as much as physical insight we can so that the models can be constrained with observations.
- 2pt and 3pt statistics can tell whether strong feedback models are realistic



