# Measuring Galaxy Bias at z~1 from Counts in Cells.

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Galaxy Bias: Non-linear, (Non)-local, (Non)-Gaussian ICTP 10 October 2013

# Layout of the Talk

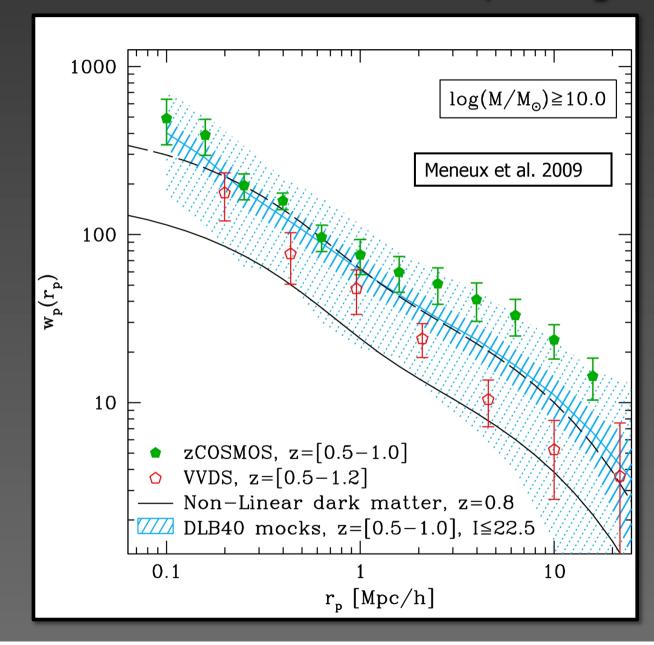
- Dataset: VIPERS PDR-1
- Goal: Nonlinear Bias
- Method: PDF from counts in cells
- Tests: Mock Catalogs
- (Preliminary) Results



# **VIPERS design goals**

- Aim at z=0.5-1.2 range
- Maximize volume (minimize cosmic variance) and statistics
- Maximize sampling (n~10<sup>-2</sup> gal h<sup>3</sup> Mpc<sup>-3</sup>, comparable to 2dFGRS and SDSS in the local Universe)
- Cosmology driven, but assure also broad legacy return (clusters, galaxy evolution, environment, AGN, ...)

#### At these redshifts: small volumes, strong variance



# **VIPERS** in a nut-shell

- ~24 deg<sup>2</sup> over W1 and W4 CFHTLS wide fields (~16 + 8)
- $I_{AB}$ <22.5, LR Red grism, 45 min exp.
- z>0.5 color-color pre-selection
- 288 VIMOS pointings
- 440.5 VLT hours
- ~100,000 redshifts, >40% sampling
- Density and volume comparable to 2dFGRS, but at z~0.8

### VIPERS Public Data Release 1 (PDR-1)

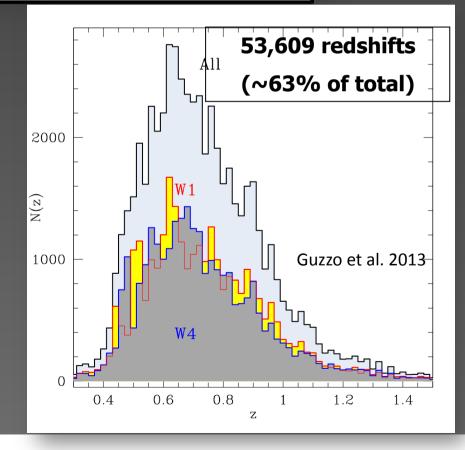
#### Data observed prior to Spring 2012: public release October 4<sup>th</sup> 2013

#### SURVEY STATUS AS OF 12/07/2012

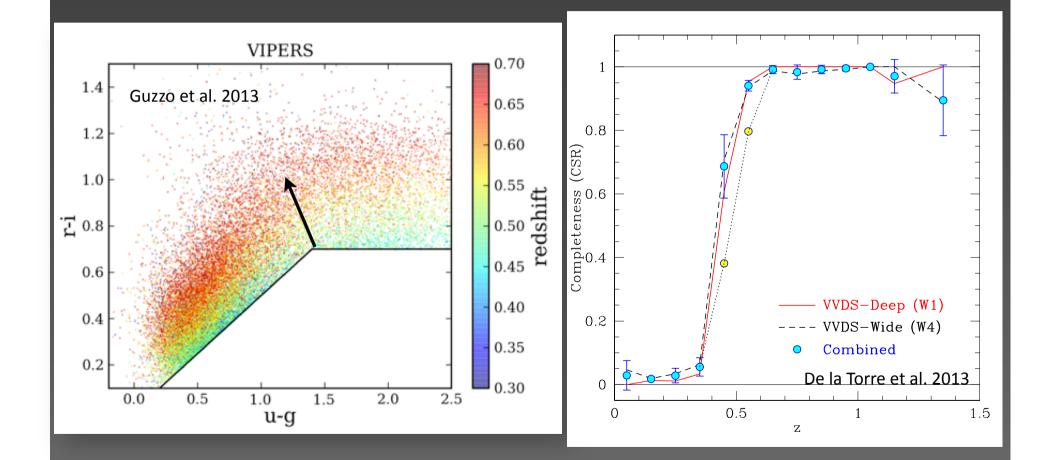
59013	55359	<b>1750</b> (3.2 %)	63.6
EFFECTIVE	MEASURED	STELLAR	COVERE
TARGETS	REDSHIFTS	CONTAMINATION	

#### •193 VIMOS pointings, out of 288

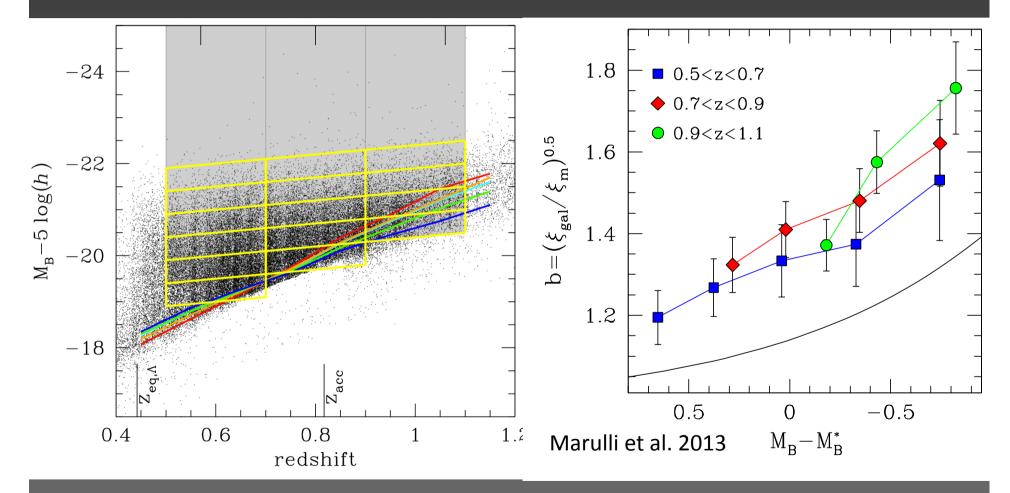
- W4 fully covered
- Major science papers based on V3.0 catalogue out in March 2013
- Public release of this same data set in September 2013
- Expected completion: 2014



#### VIPERS COLOR-COLOR SELECTION: BENEFITING OF A GOOD MULTI-BAND PARENT SAMPLE TO ISOLATE z>0.5 GALAXIES



### Linear bias from 2-point statistics (1-10 Mpc range)



Galaxy bias from counts in cells (Lahav & Dekel 1999, Sigad EB Dekel 2000)

If galaxy bias is a <u>local</u> process then it is completely characterized by the conditional probability  $P(\delta_g | \delta)$ . From which one can form the mean biasing function:

$$b(\delta_m)\delta_m \equiv \left\langle \delta_g \left| \delta_m \right\rangle = \int P(\delta_g \left| \delta_m \right) \delta_g d\delta_g$$

Its nontrivial second order moments

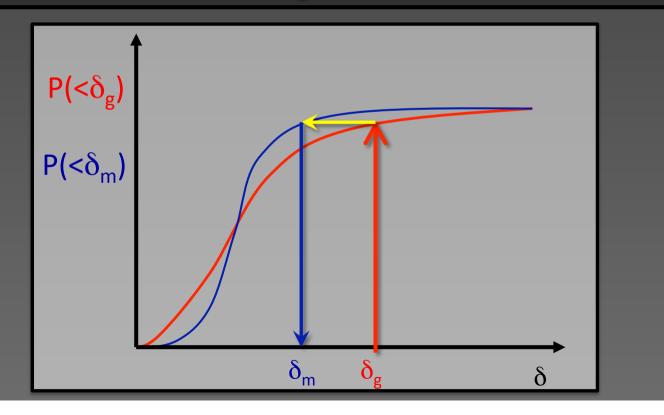
And the biasing scatter or stochasticity

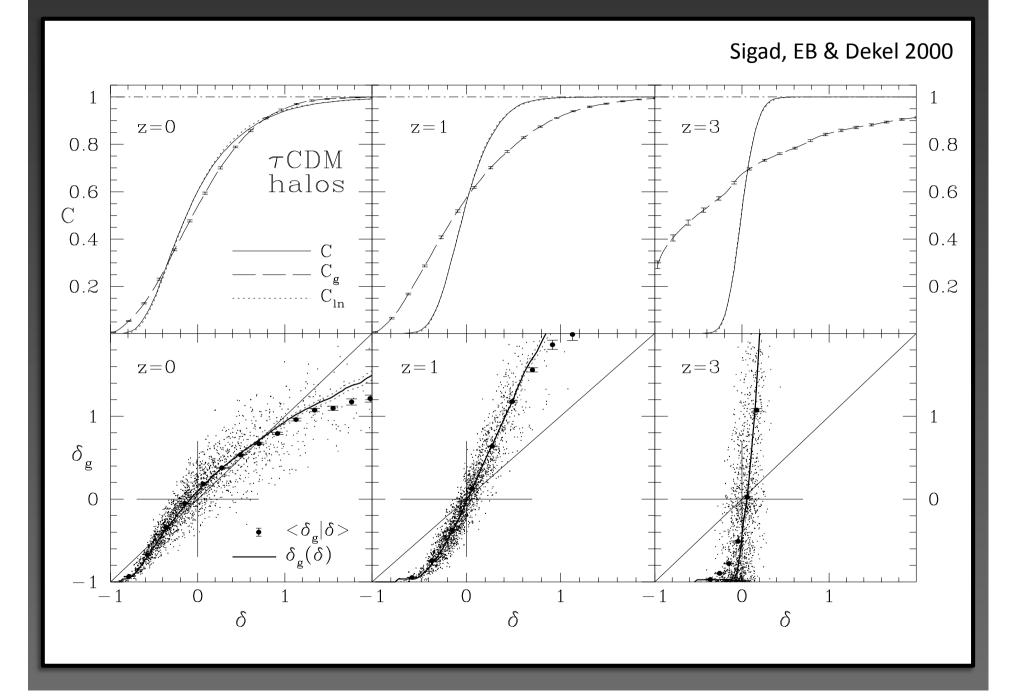
$$\hat{b} = \frac{\left\langle b(\delta_m)\delta_m^2 \right\rangle}{\sigma_m^2}; \quad \tilde{b} = \frac{\left\langle b^2(\delta_m)\delta_m^2 \right\rangle}{\sigma_m^2}$$

$$\sigma_b^2(\delta) = \frac{\left\langle \varepsilon^2 \middle| \delta \right\rangle}{\sigma_m^2}; \quad \varepsilon = \delta_g - \left\langle \delta_g \middle| \delta \right\rangle$$

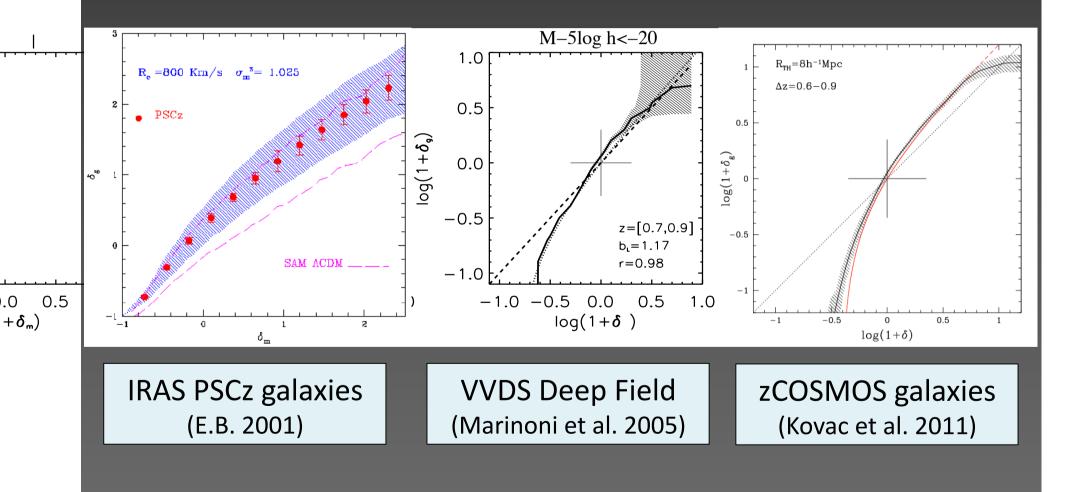
### A practical estimator of galaxy bias

If the bias is <u>deterministic</u> (if stochasticity can be ignored) then the ranking of density fluctuations in mass and galaxy is preserved and the mean basing function can be estimated from the 1-point probability functions of mass and galaxies.





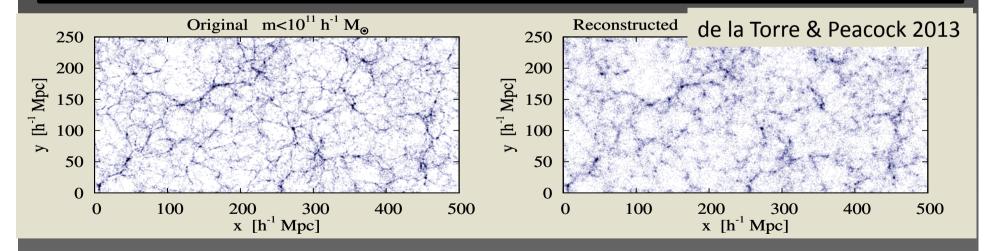
This is a powerful method to assess deviations from linearity as the ratio  $\tilde{b}/\hat{b}$  is almost independent on the *rms* amplitude of the mass fluctuations (whereas the second order moments linearly depends on  $\sigma_m$ )



## **Improving the Estimator**

Need for a better estimator, especially if one is interested in small scales where shot noise is large.

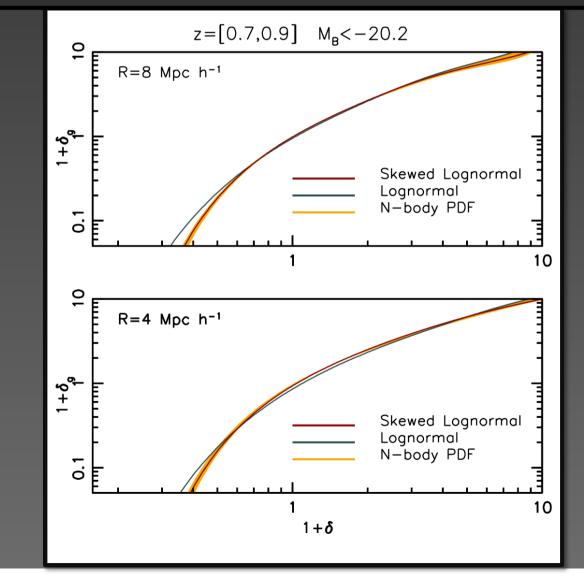




N.B. all tests / error analyses have beep performed using mocks mimicking Volume-limited, luminosity complete VIPERS sub-samples

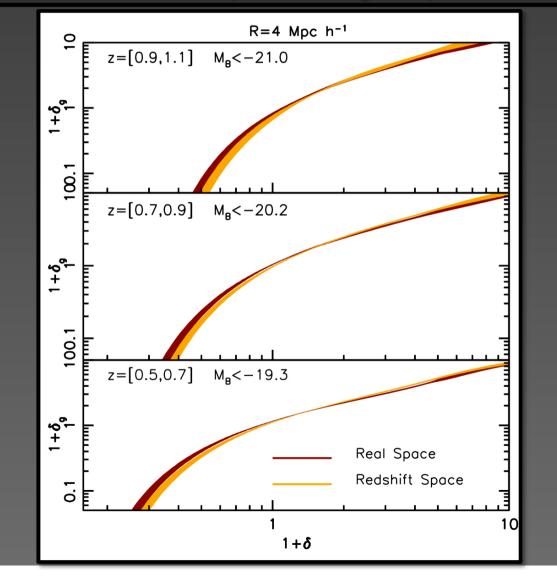
#### **Estimator issues: mass PDF**

So far all practical applications have assumed a lognormal model for the mass PDF.



### **Estimator issues: z-distortions**

Galaxy PDF is measured in redshift space while we are interested in the real-space bias galaxy bias.



### **Estimator issues: shot noise**

A large fraction of stochasticity is contributed by discrete sampling. Galaxy PDF is related to the probability of counts in cells through

$$P_{N} = \int_{-1}^{\infty} P(\delta_{g}) P(N_{g} | \delta_{g}) d\delta_{g}; \quad P(N | \delta) = \frac{\left[ \langle N \rangle (1 + \delta) \right]^{N} e^{-\langle N \rangle (1 + \delta)}}{N!}$$

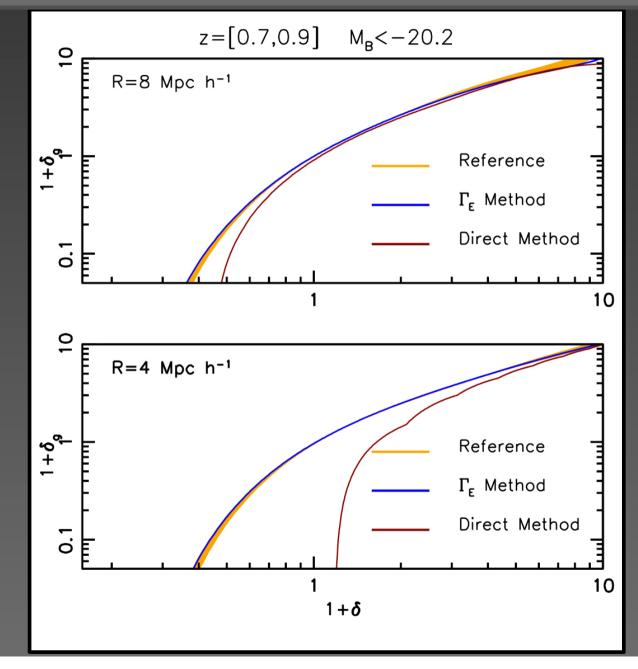
Note: the Poisson hypothesis is often adopted (and will also be used in this talk) but in principle one can use any other kernel.

Various techniques have been proposed to reconstruct  $P(\delta_g)$  from  $P(N_g)$ 

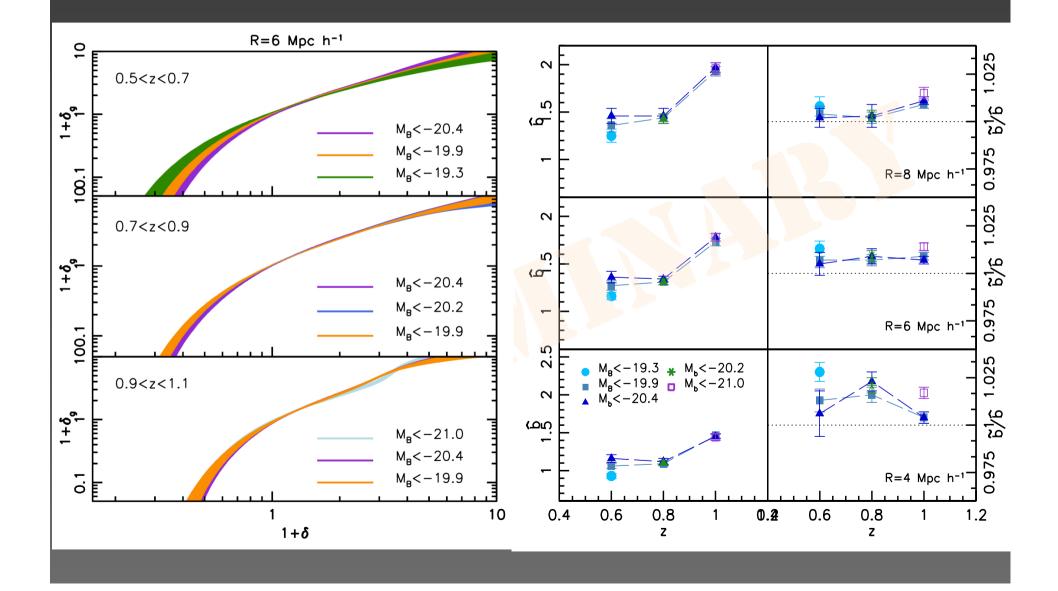
- 1. The iterative Richardson-Lucy deconvolution (Szapudi & Pan 2004)
- 2. Skewed-lognormal fit to  $P(\delta_g)$  (Szapudi & Pan 2004)
- 3.  $\Gamma$ -expansion for P( $\delta_g$ ) using the factorial moments of the counts (Bel et al. 2013)

With the sampling rate considered here (<N> > 0.5) these methods give similar results. Here we use method #3.

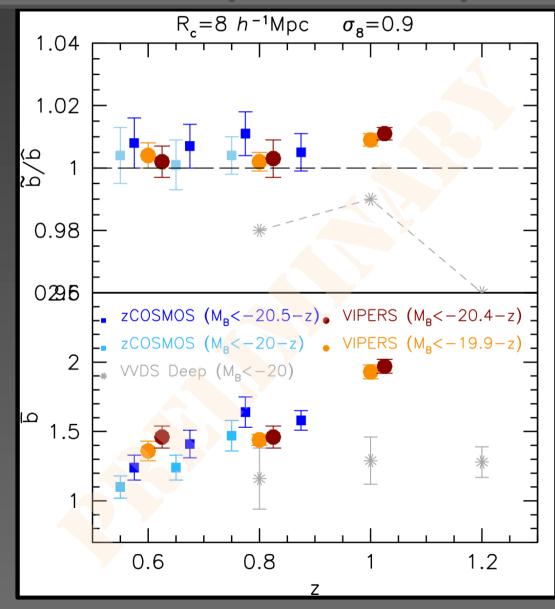
#### **Estimator issues: shot noise**



#### **RESULTS: M- R- and z-dependence**



### Reconstructing the mean biasing function and its 2<sup>nd</sup> order moments: comparison with previous results



# **Tentative Conclusions**

- A new estimate of nonlinear galaxy bias at z~1
- Nonlinearity detected.
- Previous inconsistencies (VVDS vs. zCOSMOS) due to limited volumes.
- Method used seems adequate for the VIPERS sample...
- ...and could be (easily ?) improved.