

Quantum kagome spin liquids and beyond : a local investigation



Pompidou Museum in Metz (France)

Quantum kagome spin liquids and beyond : a local investigation





Néel state, any alternative?



RESONATING VALENCE BONDS: A NEW KIND OF INSULATOR?*

P. W. Anderson
Bell Laboratories, Murray Hill, New Jersey 07974
and
Cavendish Laboratory, Cambridge, England

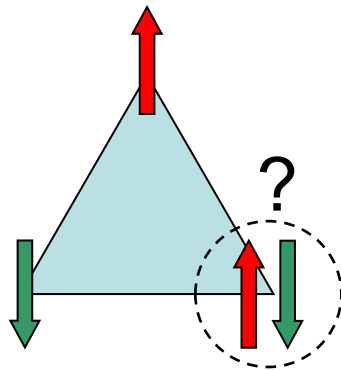
1972

(Received December 5, 1972; Invited**)

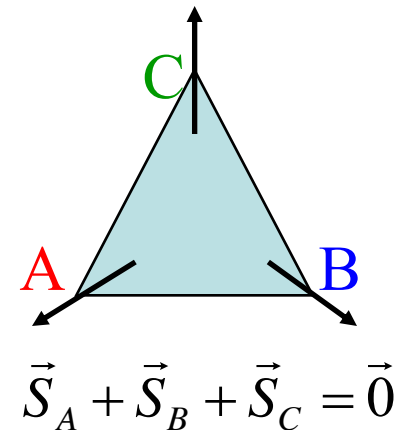
ABSTRACT

The possibility of a new kind of electronic state is pointed out, corresponding roughly to Pauling's idea of "resonating valence bonds" in metals. As observed by Pauling, a pure state of this type would be insulating; it would represent an alternative state to the Néel antiferromagnetic state for $S = 1/2$. An estimate of its energy is made in one case.

Geometrical Frustration of
magnetic interactions



Class.





Néel state, any alternative?



RESONATING VALENCE BONDS: A NEW KIND OF INSULATOR?*

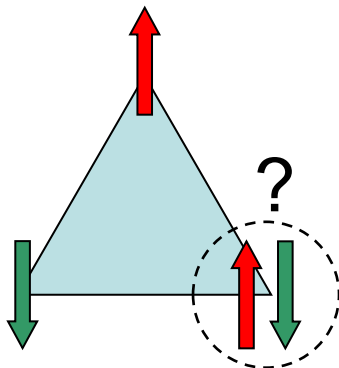
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ABSTRACT

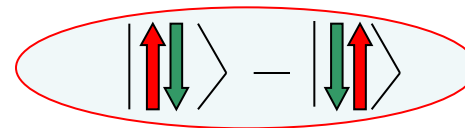
The possibility of a new kind of electronic state is pointed out, corresponding roughly to Pauling's idea of "resonating valence bonds" in metals. As observed by Pauling, a pure state of this type would be insulating; it would represent an alternative state to the Néel antiferromagnetic state for $S = 1/2$. An estimate of its energy is made in one case.

Geometrical Frustration



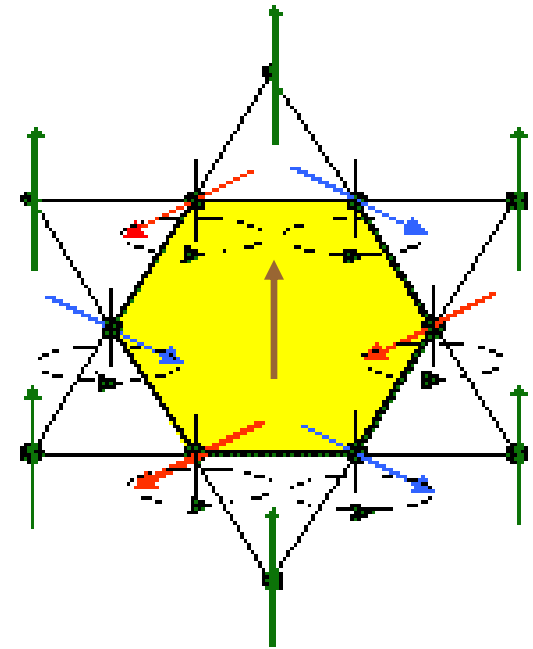
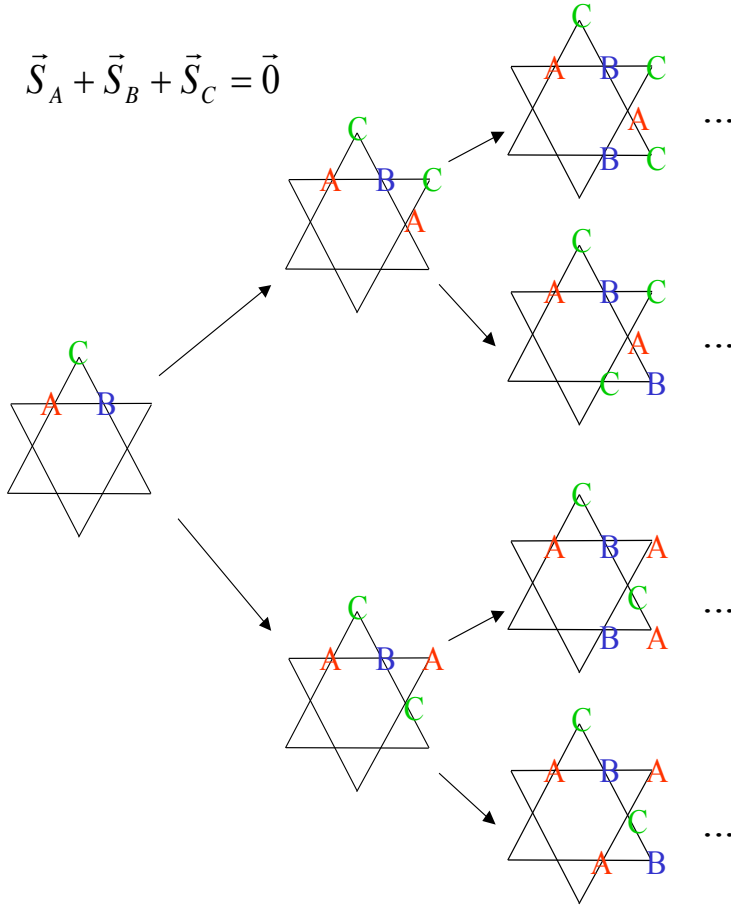
+

Quantum fluctuations $S=1/2$



Corner sharing: classical kagomé lattice

$$\vec{S}_A + \vec{S}_B + \vec{S}_C = \vec{0}$$

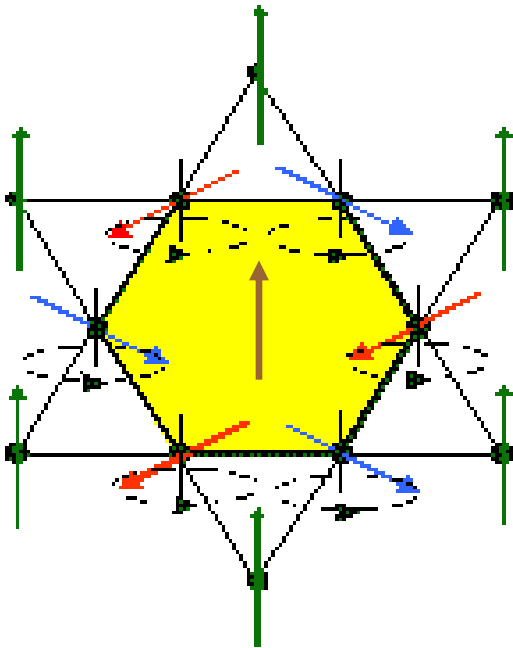


Macroscopic degeneracy

Soft modes

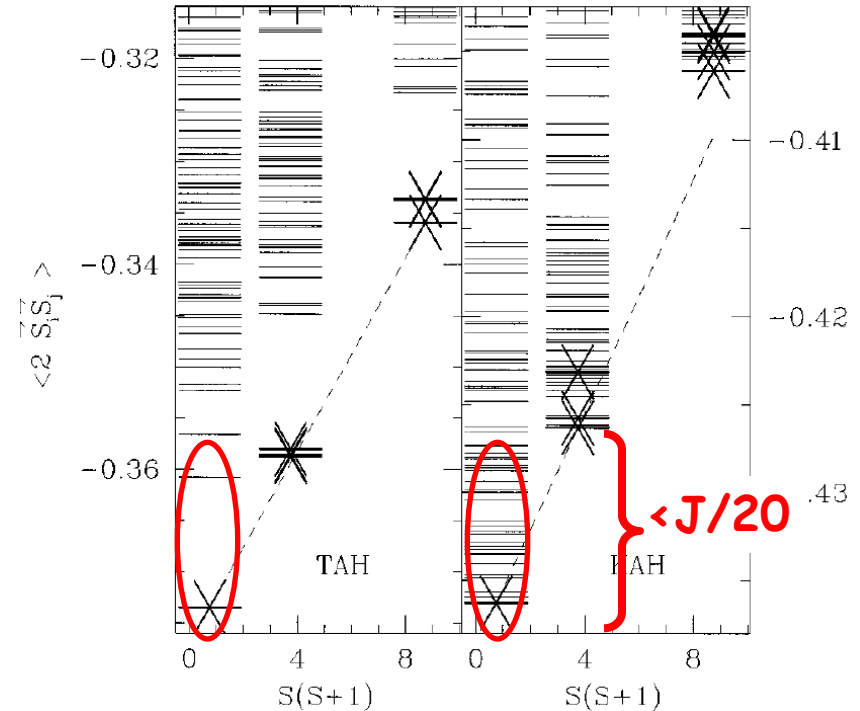
Corner sharing: classical vs quantum kagomé lattice

Classical soft modes



Back to 90's

Triangular \neq Kagome



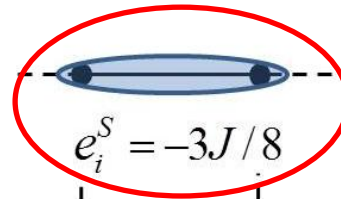
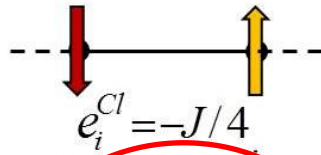
- $\Delta < J/20$
- No gap in the singlet sector

• Lecheminant, PRB **56**, 2521 (1997)
 • Waldtmann *et al.*, EPJB **2**, 501 (1998).

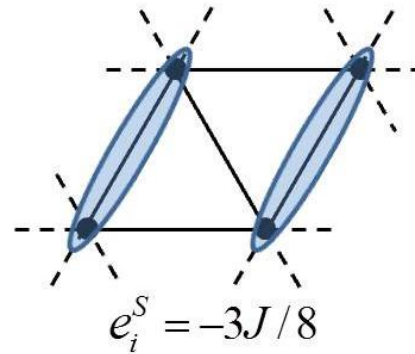
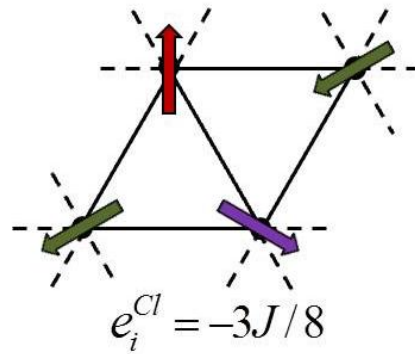
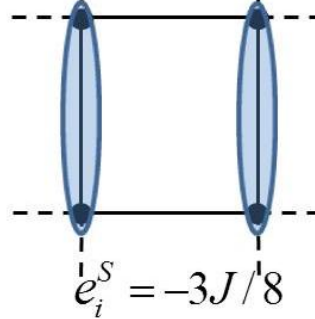
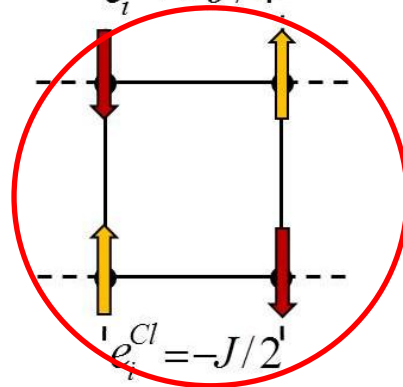
Néel state

Dimer state

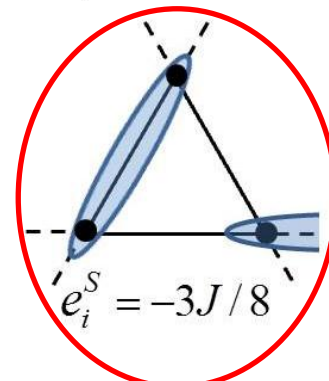
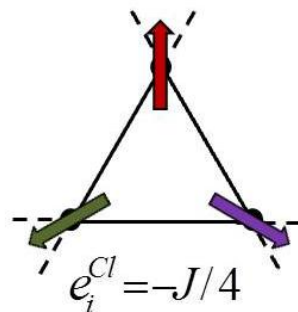
1D

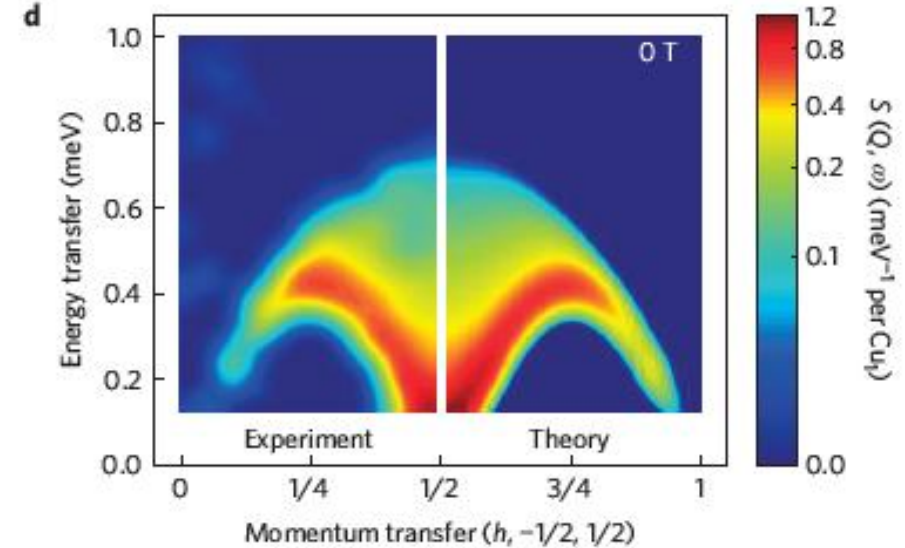
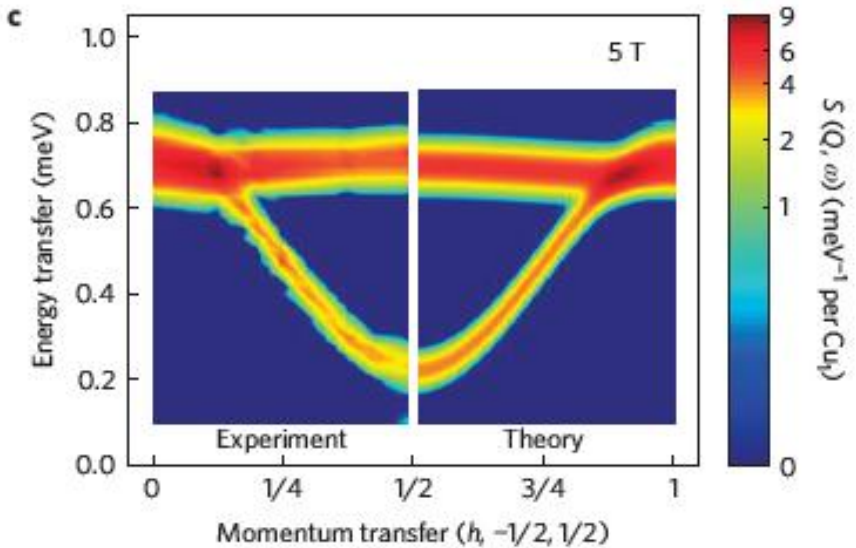
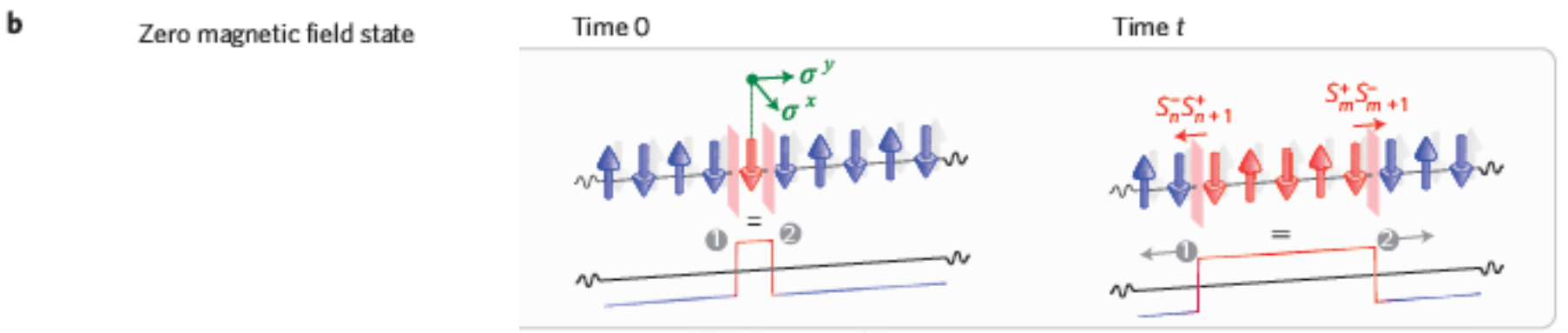
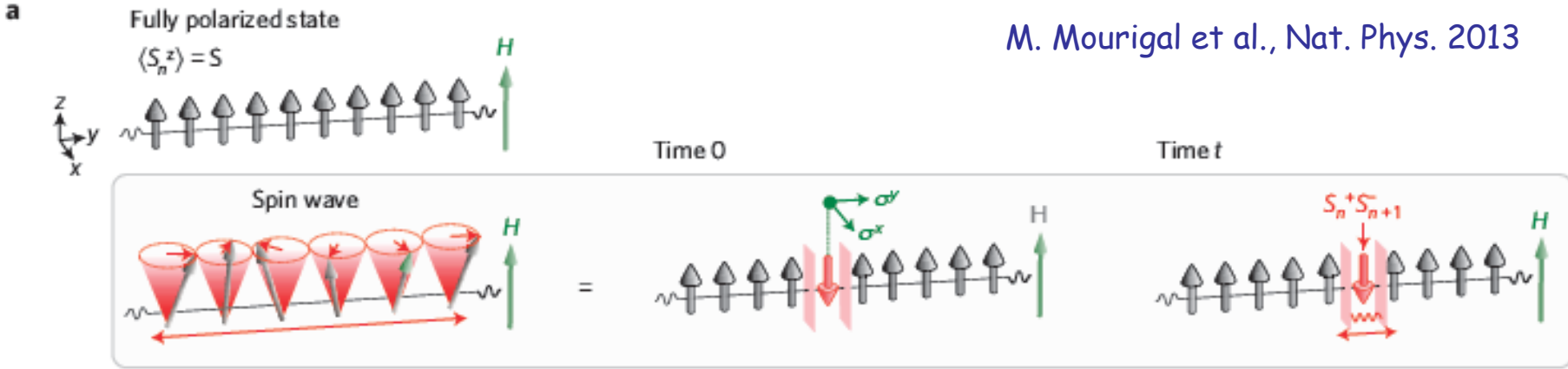


2D



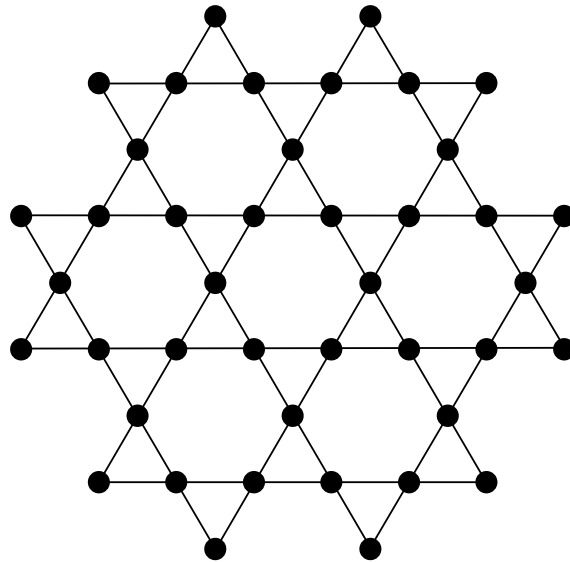
?

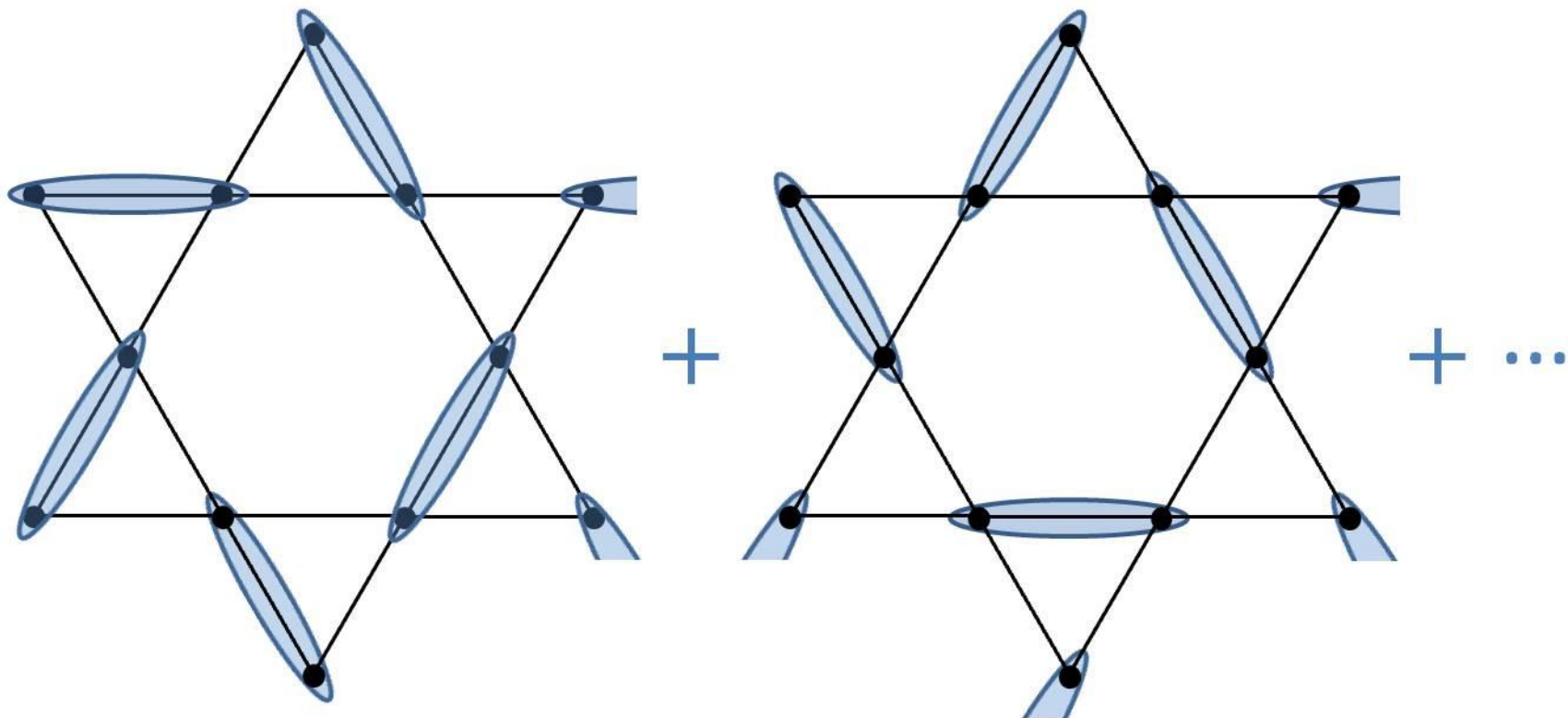




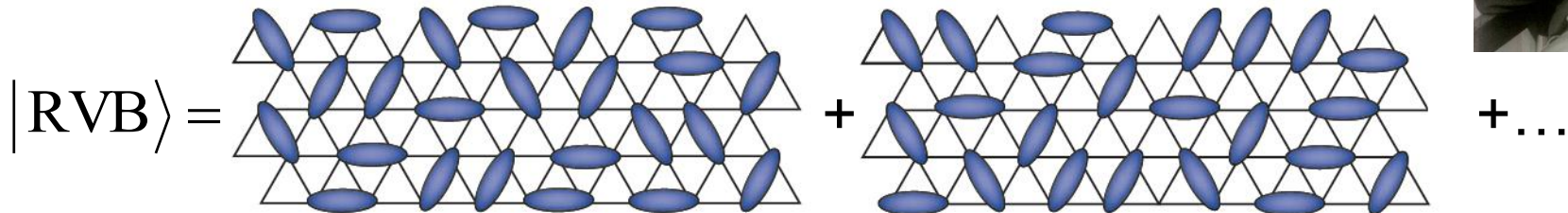
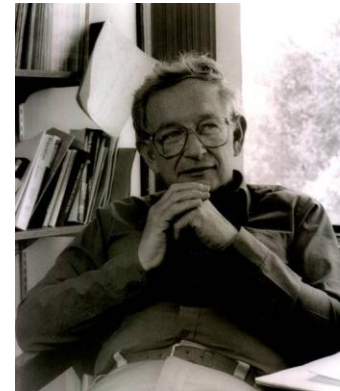
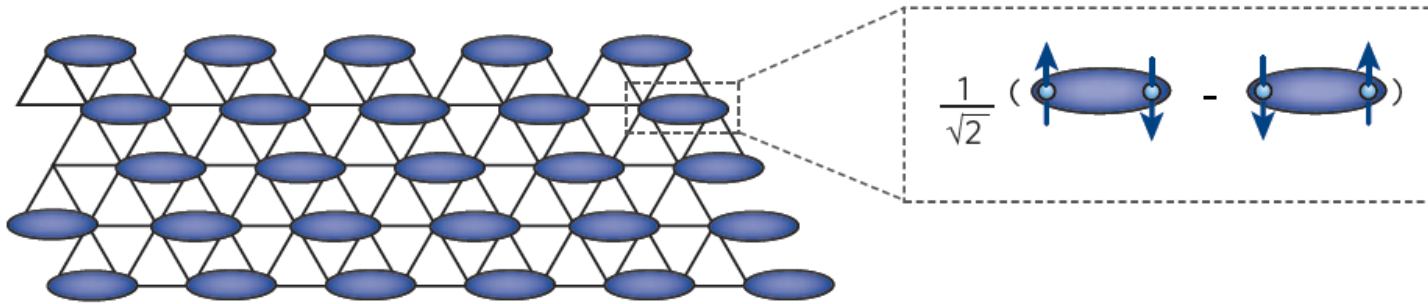
Quantum kagome antiferromagnet: ideal playground for spin liquid physics

- Low spin $S=1/2$
- High geometrical frustration: corner-sharing geometry
- Lattice with low coordination number ($z=4$)





Quantum states

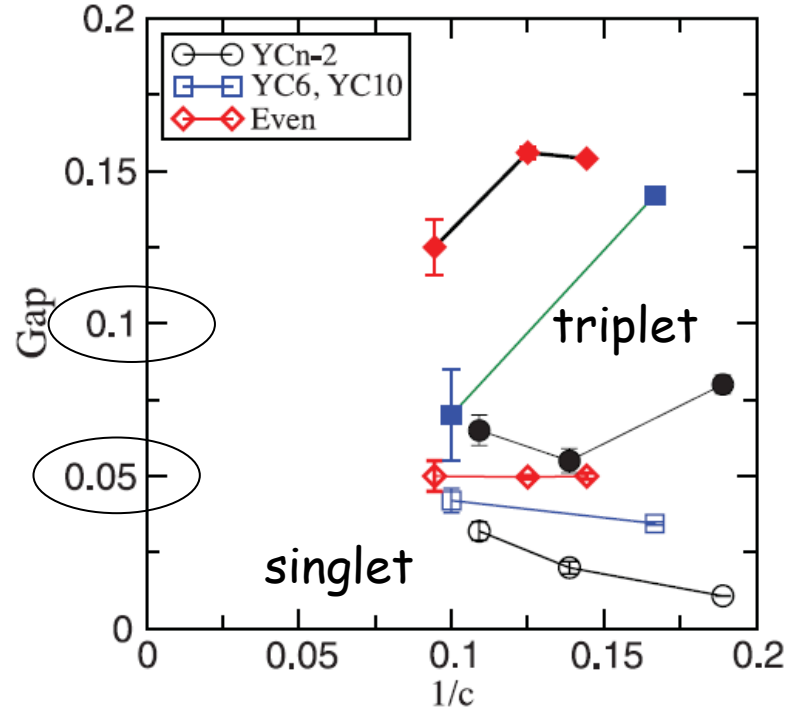
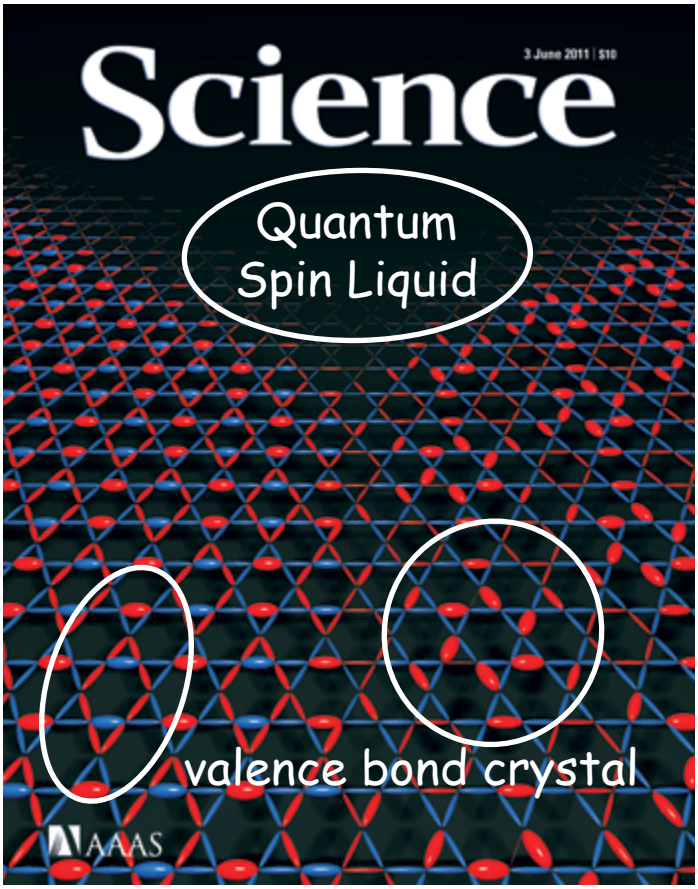


quantum spin liquid:

A state **without** any spontaneous **symmetry breaking**

On the theoretical front: Large size numerical study (DMRG)

The ground-state of QKHA would be a gapped spin-liquid (short-range RVB)



S. Yan et al, Science 332 (2011)

S. Depenbrock et al, PRL 109, 067201 (2012) :

$$\Delta = 0.13(1) \text{ J}$$

S. Nishimoto et al, Nature Com, (2013)

$$\Delta = 0.05(2) \text{ J}$$

Quantum Kagome ground state? The lowest energy!!!

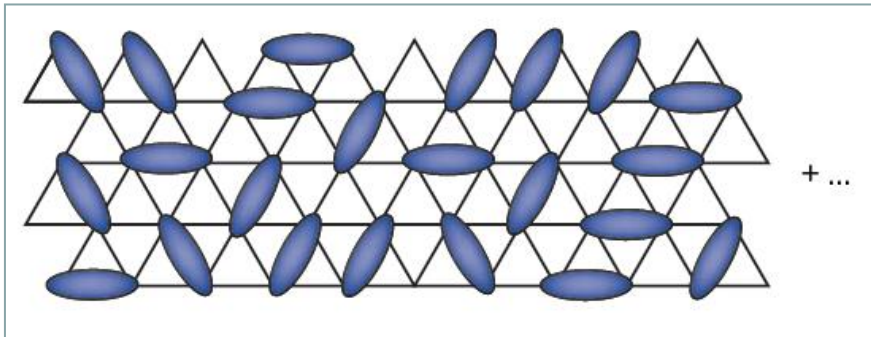
Two prototypes of quantum spin liquid

Z_2 QSL

Gapped magnetic excitations ($S=1/2$)

Gapped non-magnetic excitations

$$C_V \sim e^{-\Delta/T} ; \chi \sim e^{-\Delta'/T}$$



Short range RVB

Yan et al, science 2011

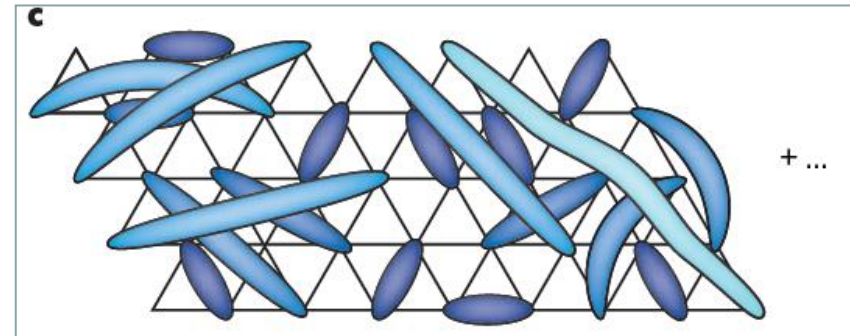
S. Depenbrock et al, PRL 109, 2012

$$\Delta = 0.13(1)J \rightarrow 0.05(2)J$$

Algebraic/Critical/Dirac/ $U(1)$ QSL

Gapless excitations

$$C_V \sim T^2 ; \chi \sim T$$



Long range RVB

Hastings, PRB 63, 2000

Ran et al, PRL 98, 2007

Ryu et al, PRB 75, 2007

Outline

- ✓ Herbertsmithite $\text{Cu}_3\text{Zn}(\text{OH})_6\text{Cl}_2$

 - gapless spin liquid

 - relevance of perturbations

- ✓ Vanadium based kagome $[\text{NH}_4]_2[\text{C}_7\text{H}_{14}\text{N}][\text{V}_7\text{O}_6\text{F}_{18}]$

 - Magnetic model - « trimerized kagome »

 - Gapless excitation spectrum (heat capacity)

 - gapped magnetic excitations (NMR)

- ✓ Hyperkagome $\text{Na}_4\text{Ir}_3\text{O}_8$

A Structurally Perfect $S = 1/2$ Kagomé Antiferromagnet

Matthew P. Shores, Emily A. Nytko, Bart M. Bartlett, and Daniel G. Nocera*

*Department of Chemistry, 6-335, Massachusetts Institute of Technology, 77 Massachusetts Avenue,
Cambridge, Massachusetts 02139-4307*

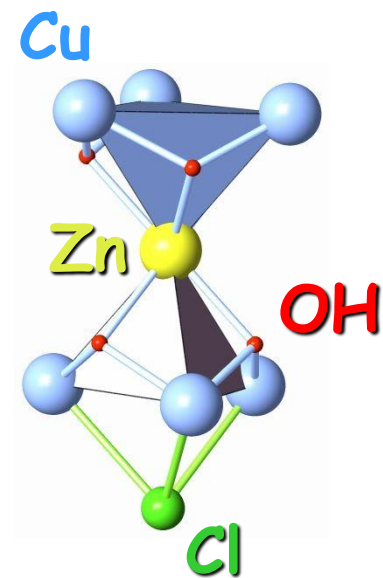
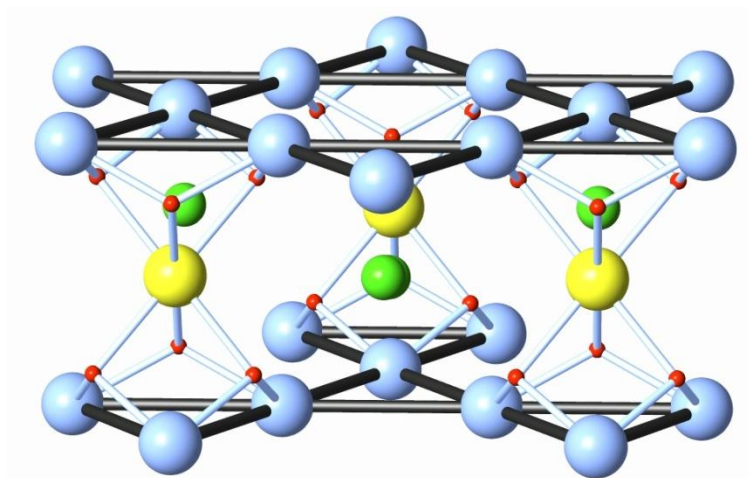
Received June 13, 2005; E-mail: nocera@mit.edu

Herbertsmithite:

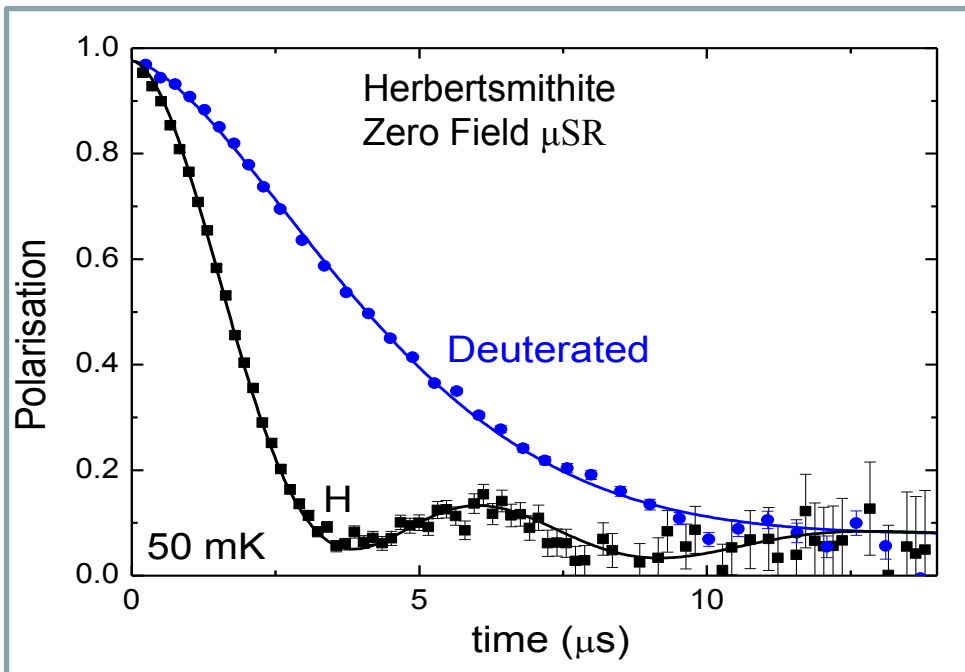
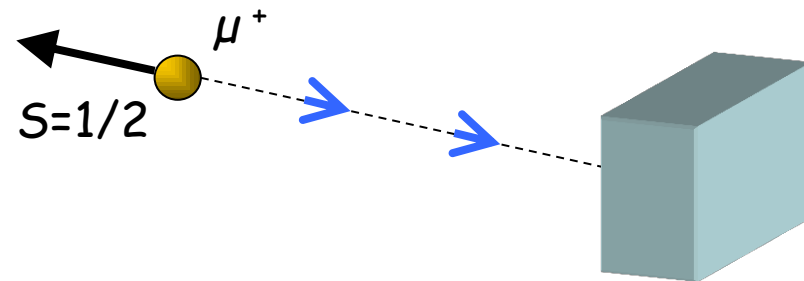


Cu^{2+} , $S=1/2$

$J=180$ K (AF)



Muon spin relaxation (μ SR)



-relaxation from "static" nuclear fields.
-upper limit of a frozen moment for Cu^{2+} , if any : $6 \times 10^{-4} \mu_B$

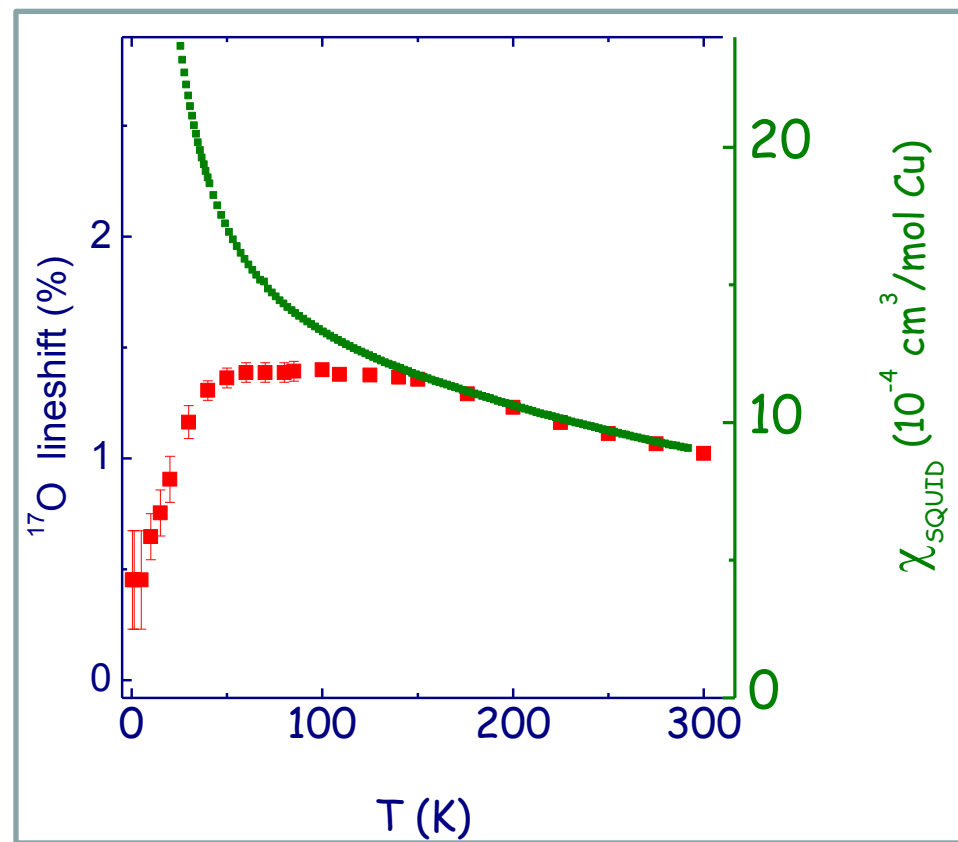
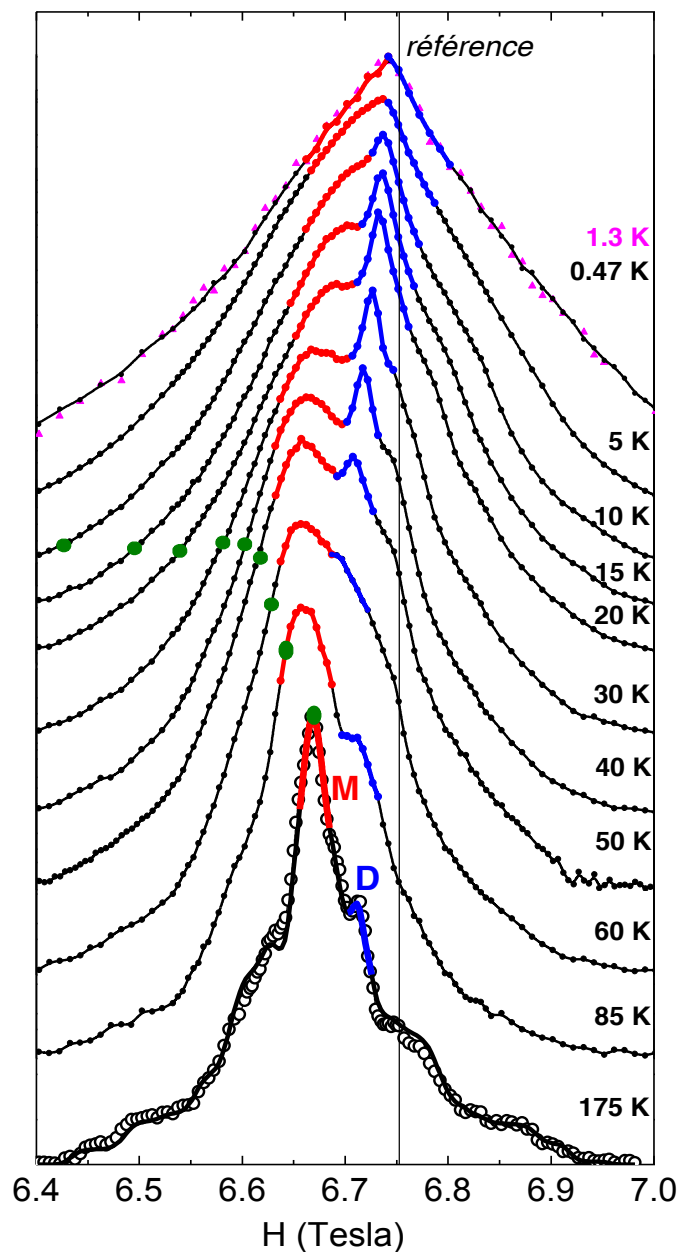
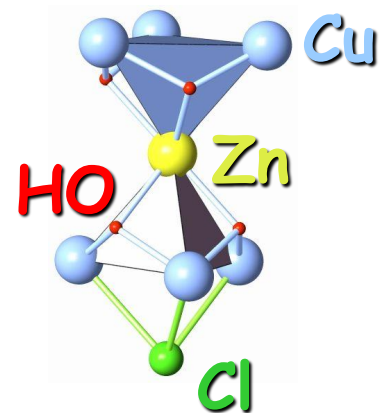
No order or frozen disorder down to 20 mK ($J/8000$) !

P. Mendels et al, PRL 98, 077204 (2007)

PSI : Amato, C. Baines - ISIS : A.D. Hillier, J. Lord

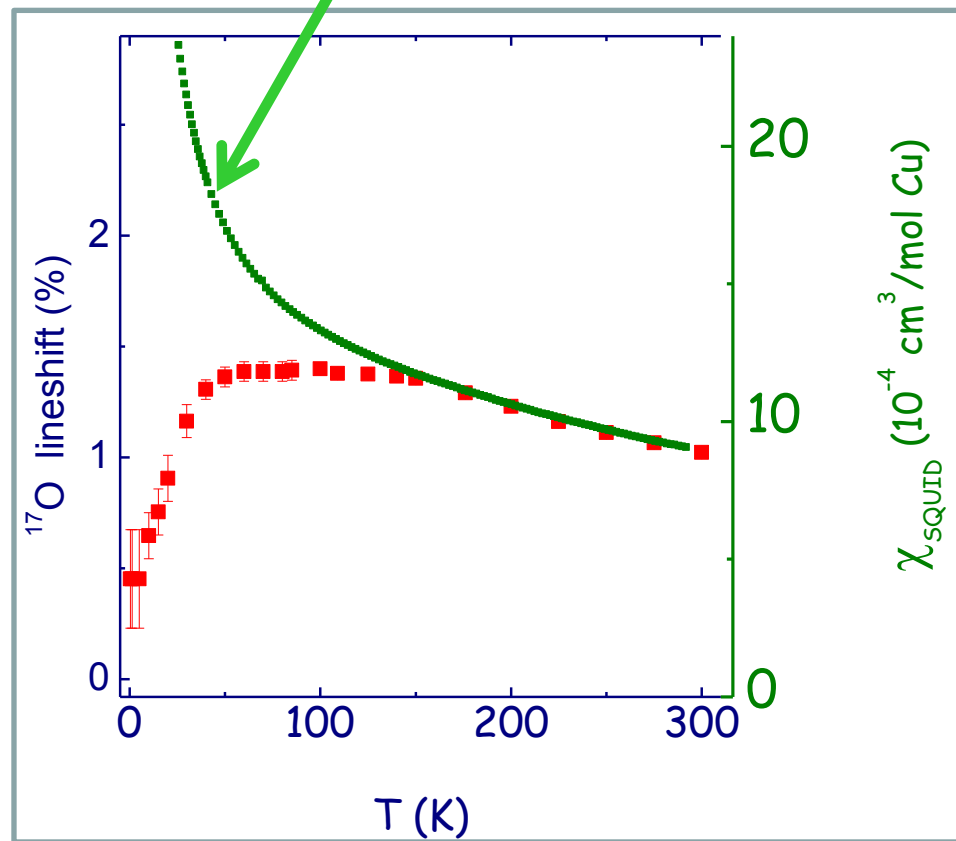
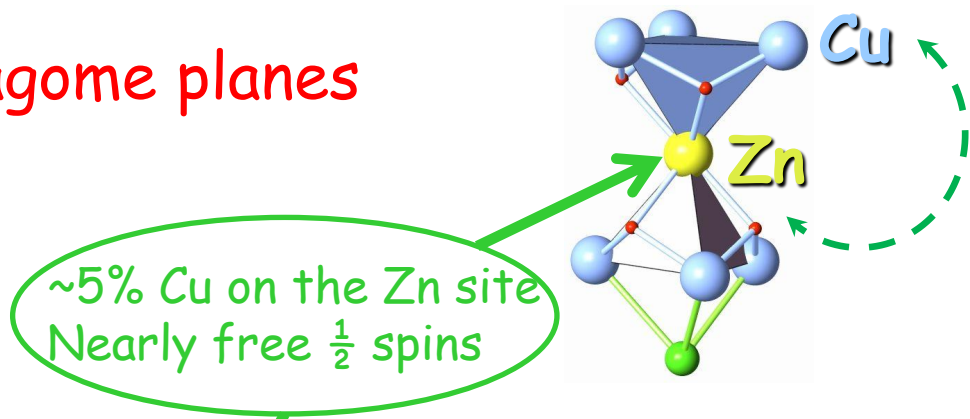
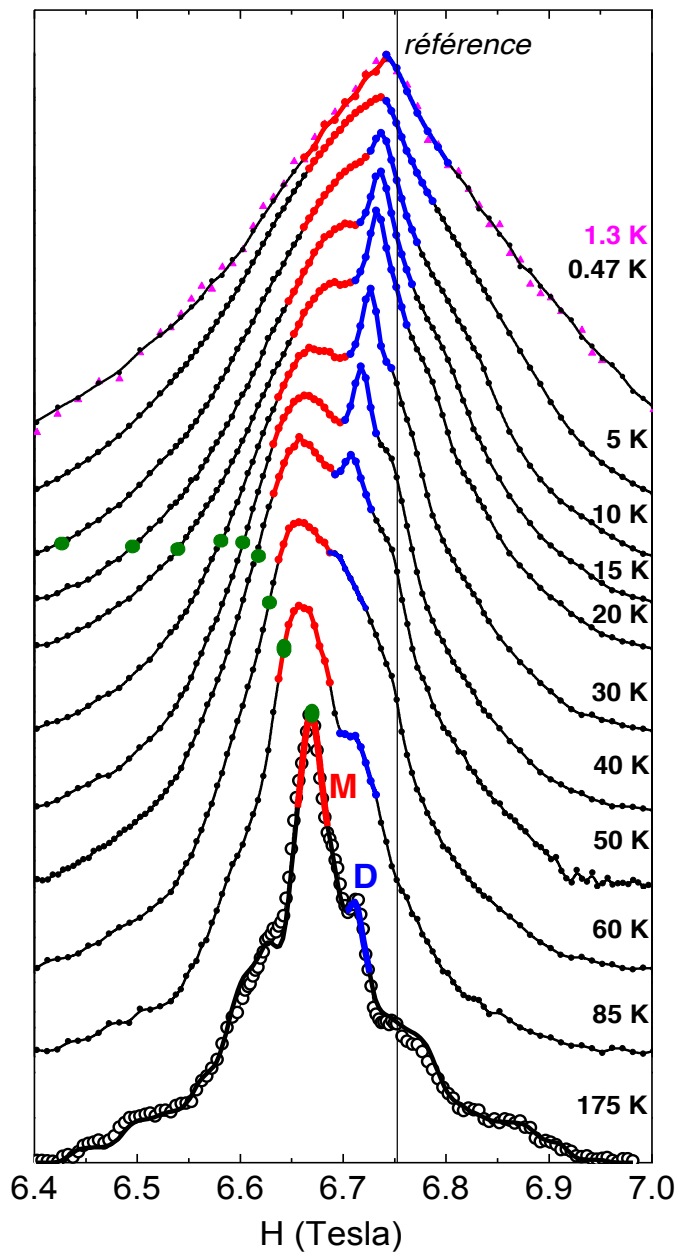
^{17}O NMR :

Local susceptibility of the kagome planes



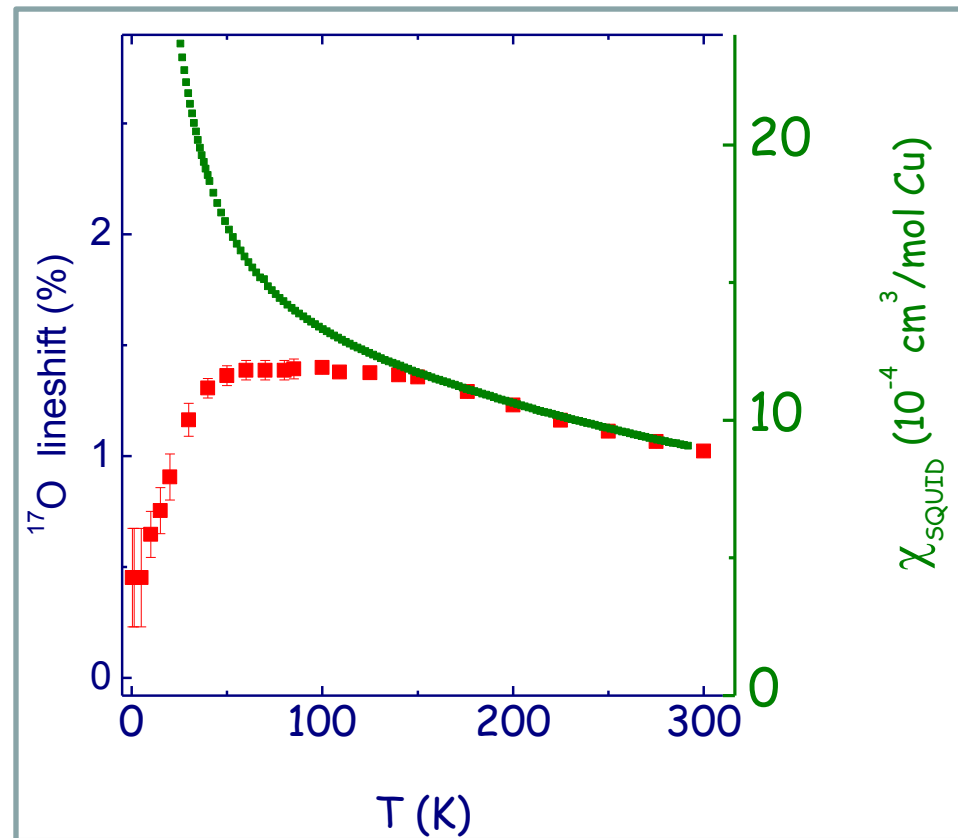
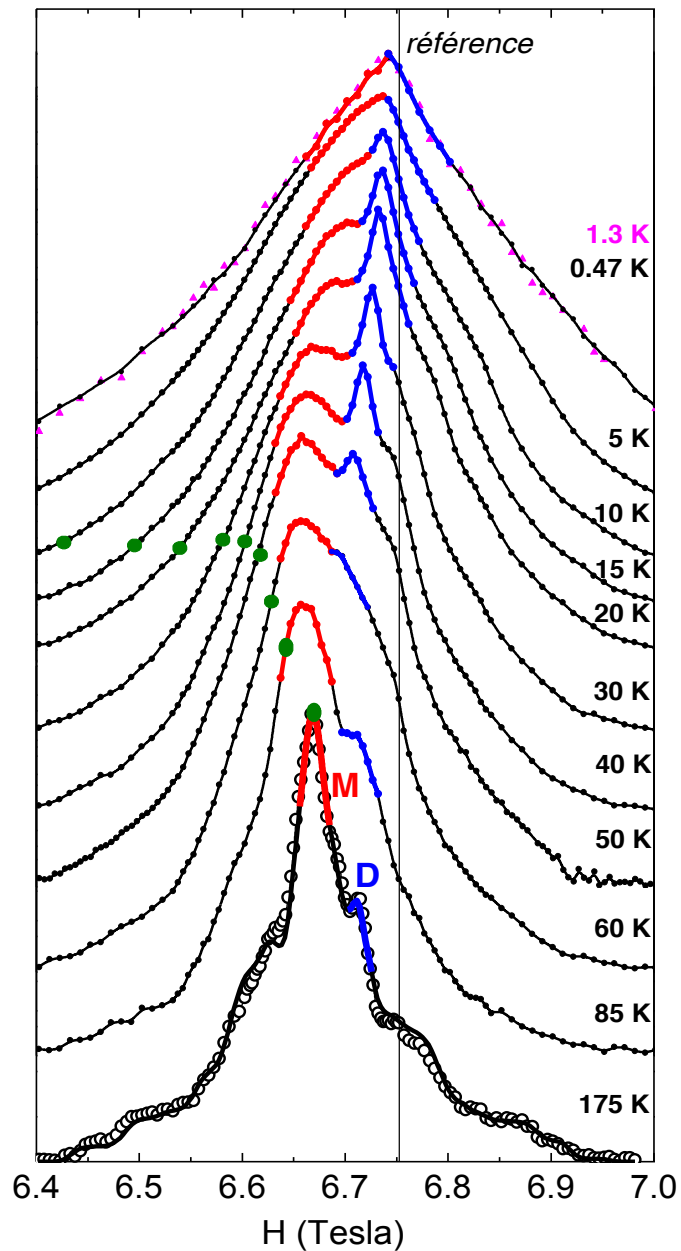
^{17}O NMR :

Local susceptibility of the kagome planes



^{17}O NMR :

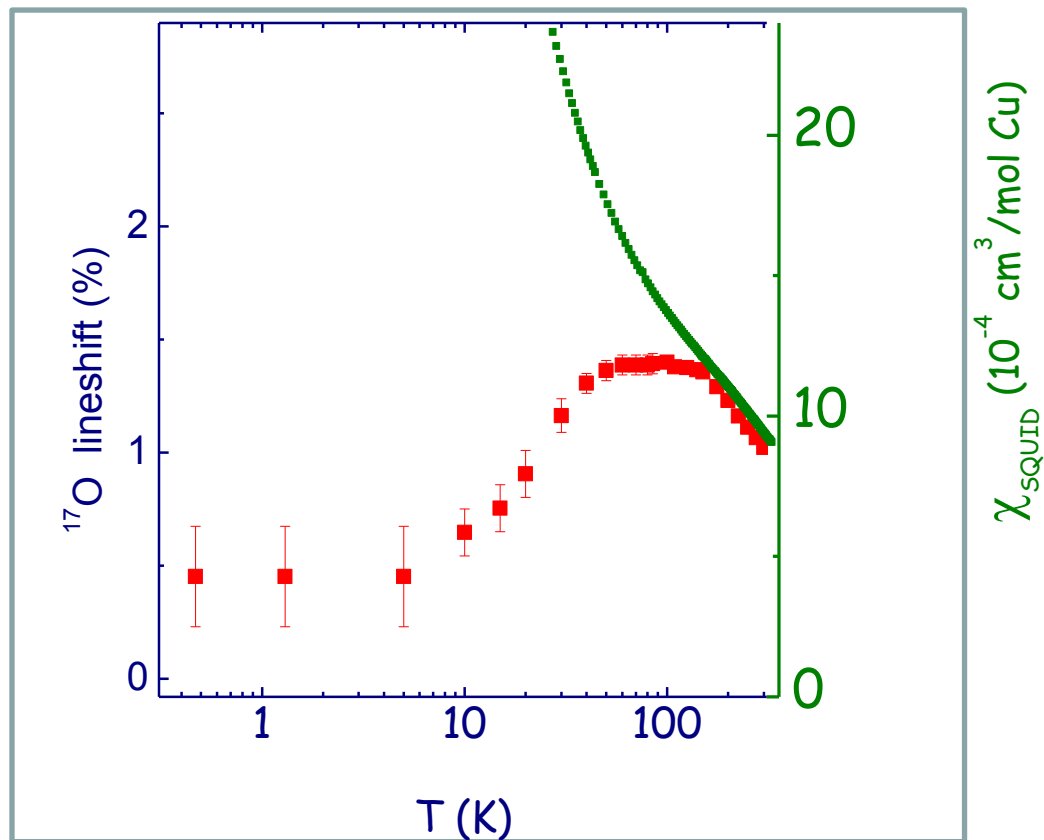
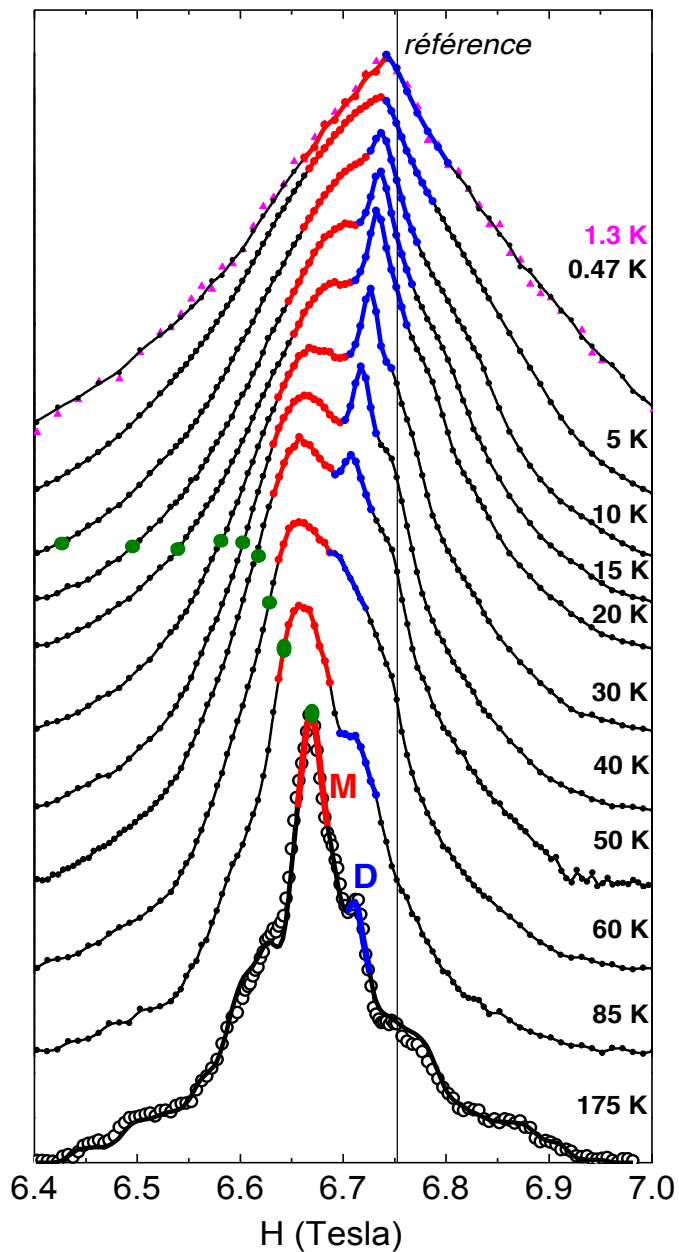
Local susceptibility of the kagome planes



-Enhancement of short range AF correlations at $\sim J/3$

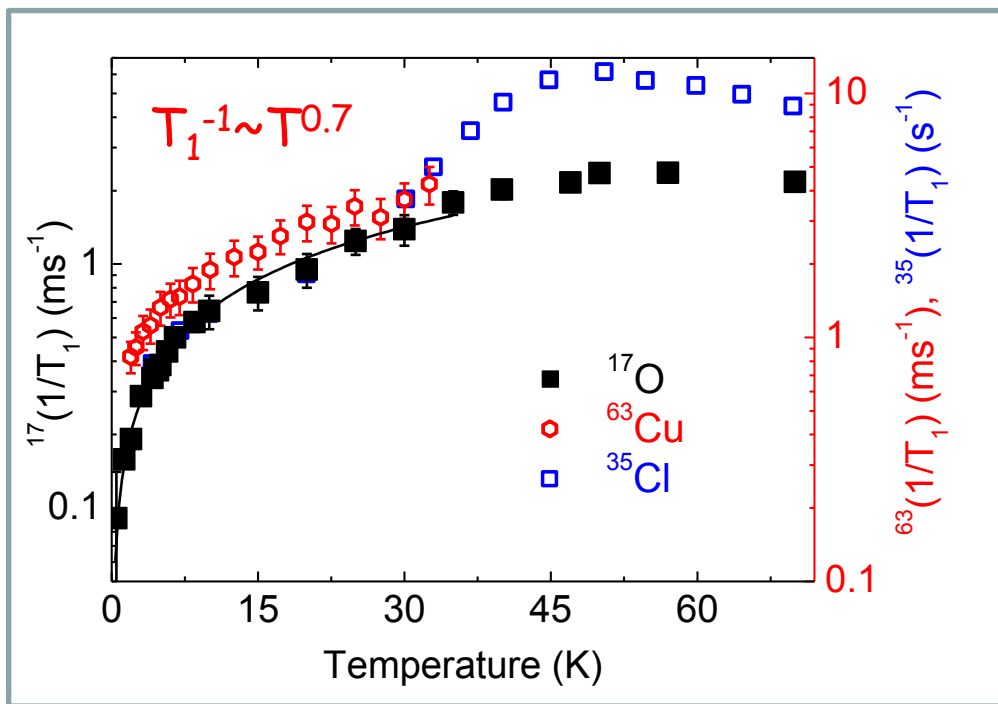
^{17}O NMR :

Local susceptibility of the kagome planes



- Enhancement of short range AF correlations at $\sim J/3$
- Finite $T \rightarrow 0$ susceptibility : no spin gap

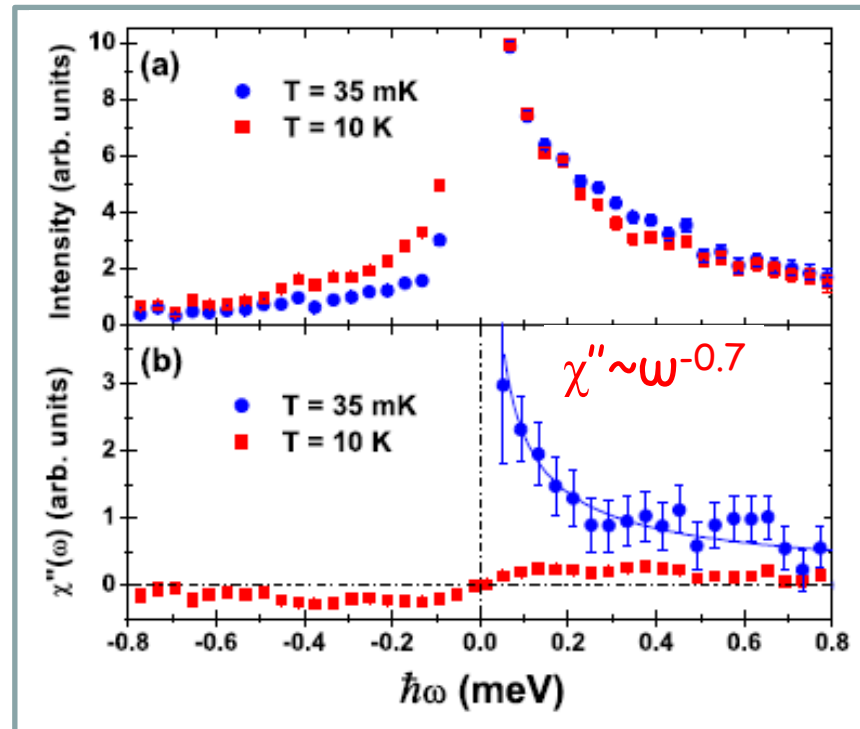
Low T Spin Dynamics



Olariu et al, PRL 100, 087202 (2008)
 Imai, PRL 100, 077208 (2008)

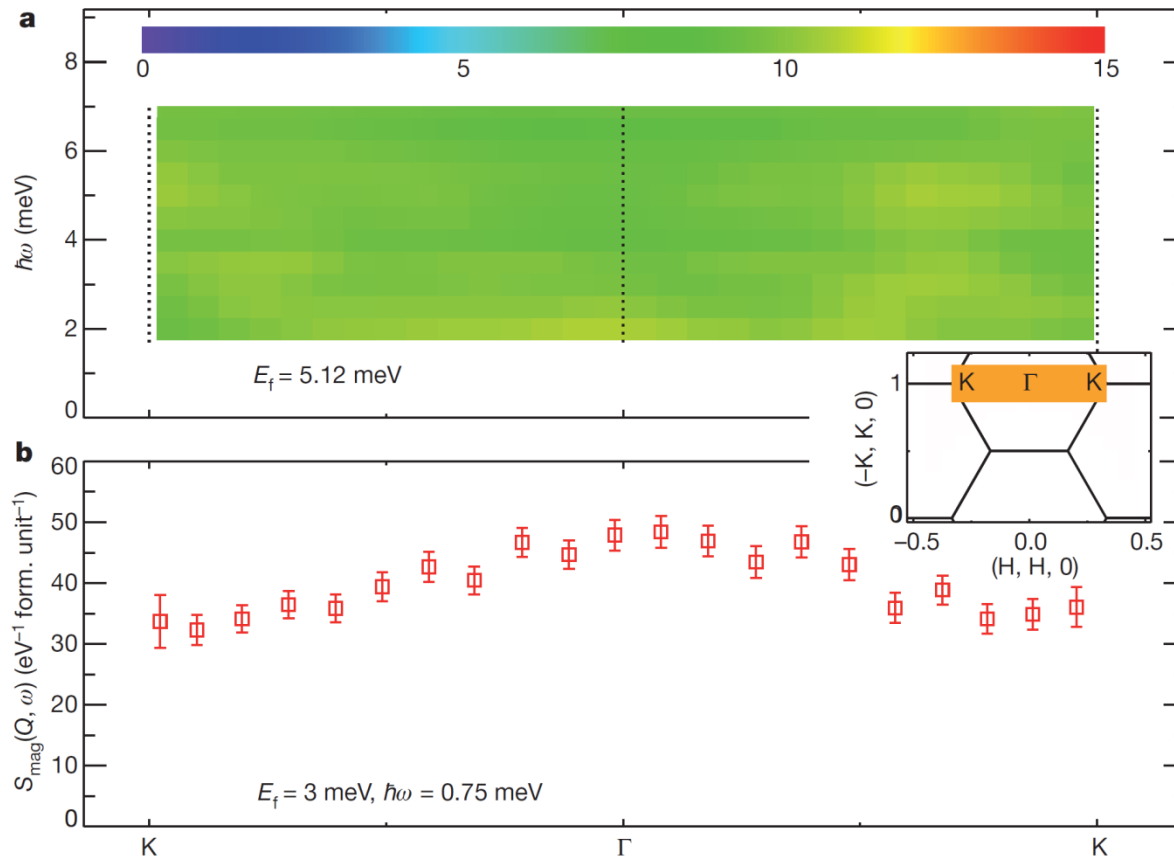
$$\frac{1}{T_1} \sim \int_{-\infty}^{\infty} \langle B_L^+(t) B_L^-(0) \rangle \exp(-i\omega_{RMN} t) dt$$

- No spin gap behavior
- power law dependence, criticality?



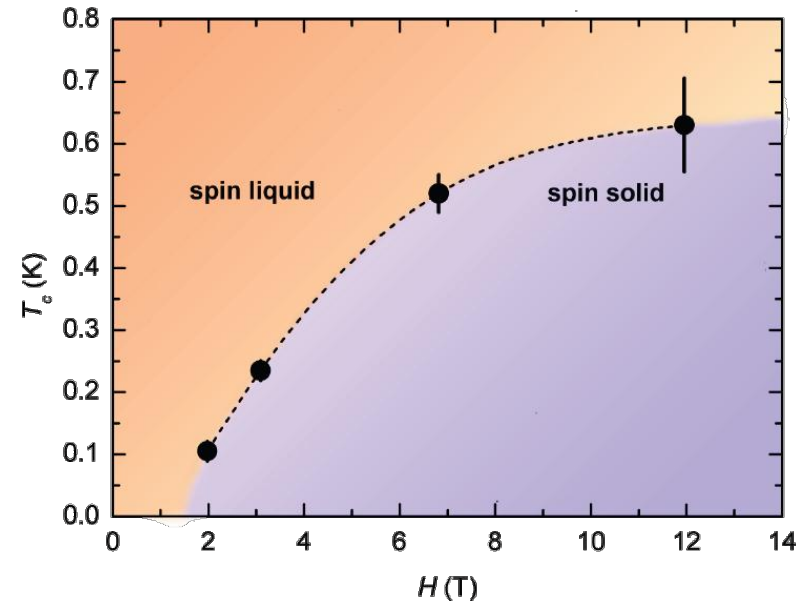
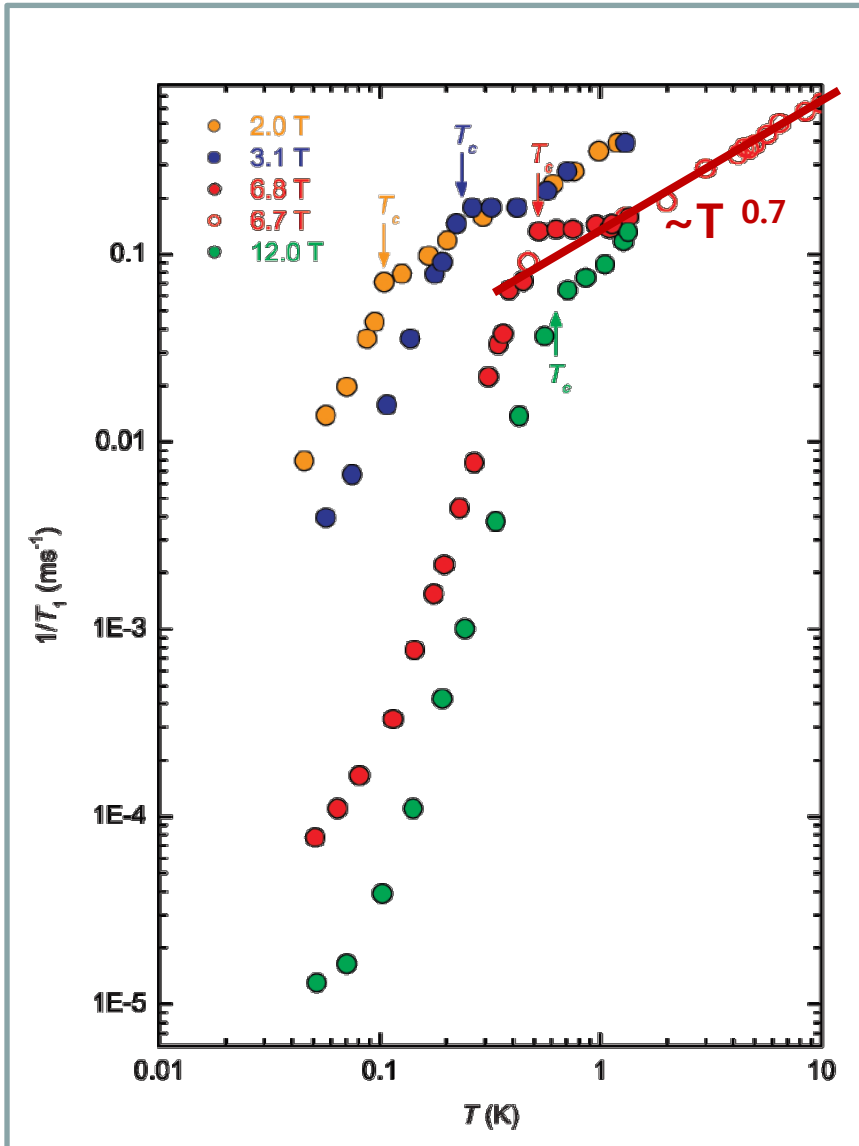
Helton et al, PRL 98 107204 (2007)

Neutrons on single crystals



- Gapless: $\Delta < 0.1$ J
- Continuum of excitations
- No n.n. dimer correlation

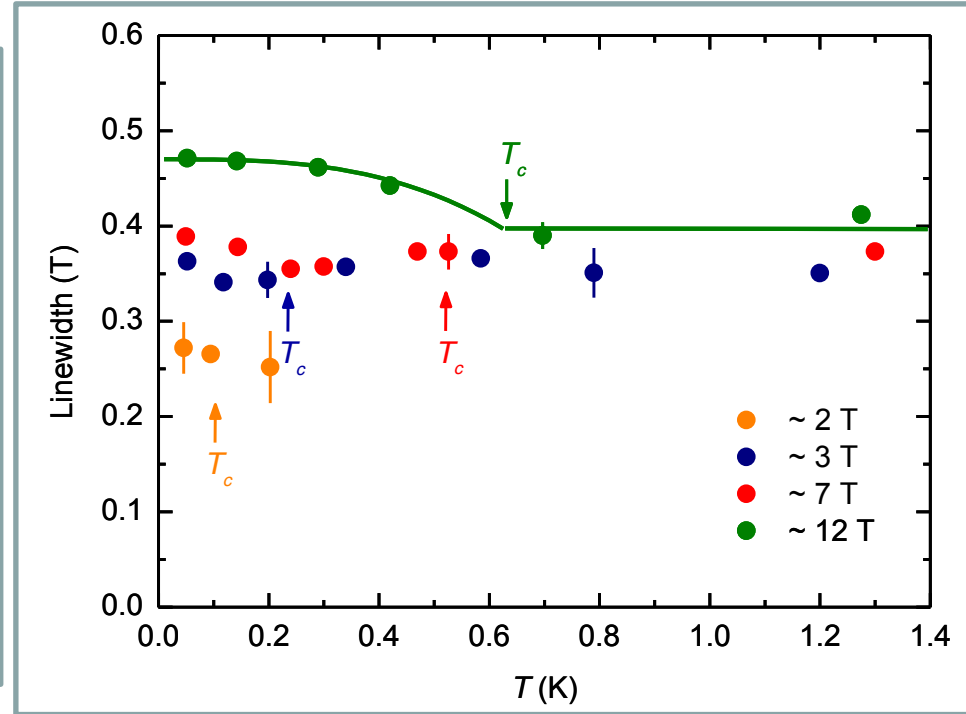
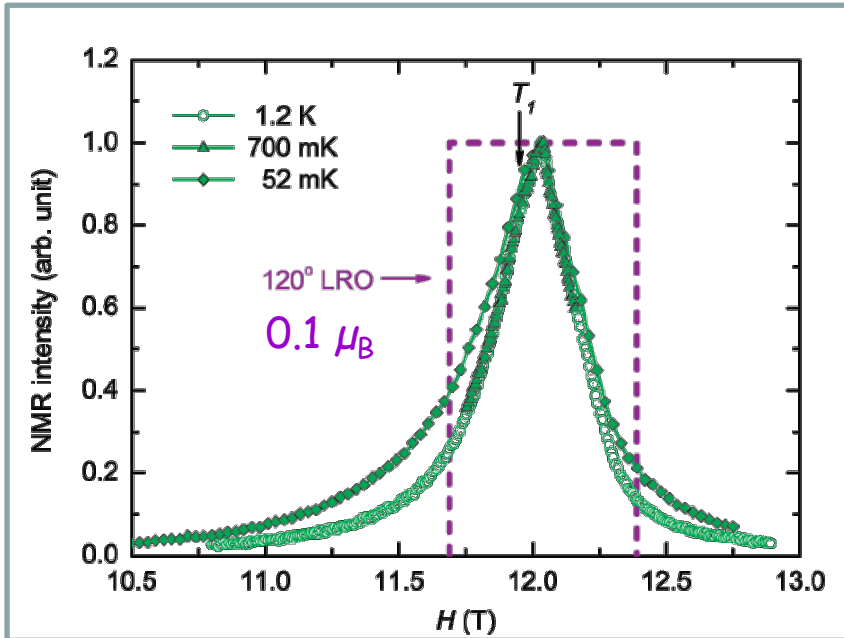
Very Low T Spin Dynamics: field induced freezing



- $T > T_c$: gapless, spin-liquid behavior
- $T < T_c$: drastic suppression of spin dynamics
spin-solid (?)
- No peak at T_c , no critical slowing down

M. Jeong et al, PRL 107, 237201 (2011)

Very Small frozen moment



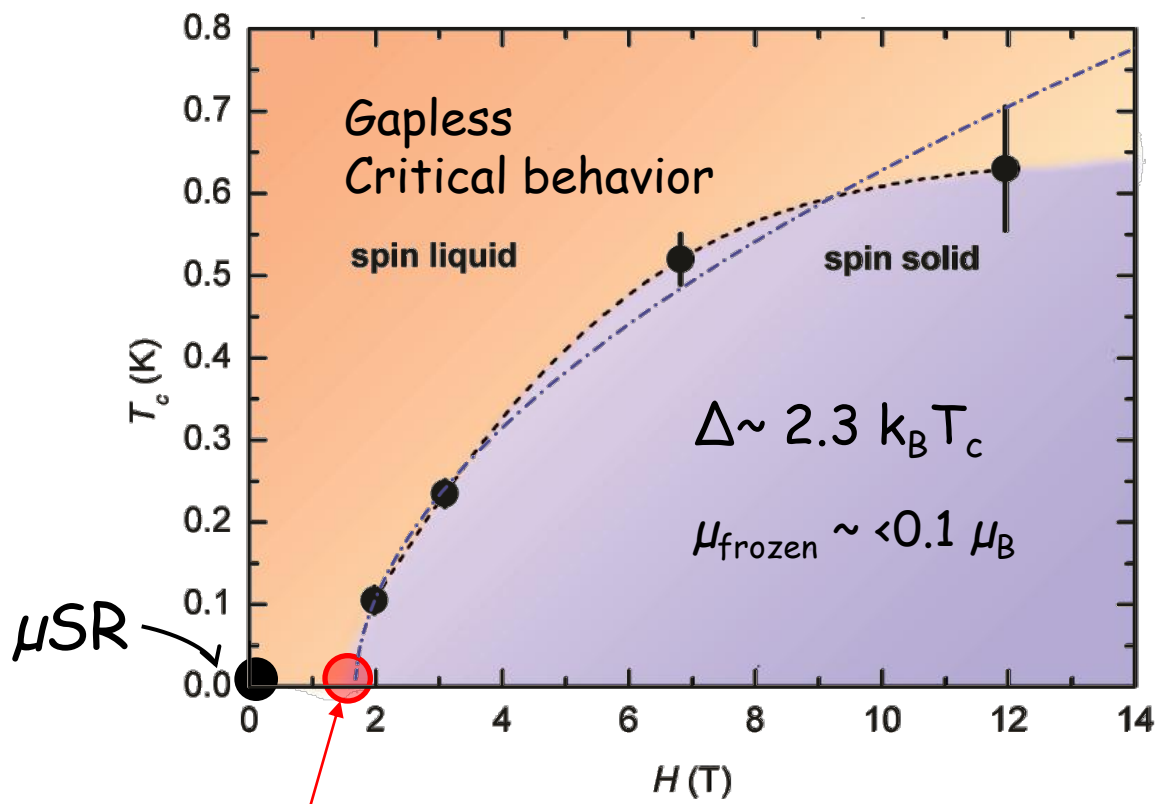
-No long range order but frozen state

-Hyperfine constant: $3.5 \text{ T}/\mu_B$

$\mu_{\text{frozen}} \sim 0.1 \mu_B @ 12 \text{ T}$

μ_{frozen} even smaller for smaller H

A Quantum Critical Point ?



$$T_c \sim (H - H_c)^{0.65}$$
$$H_c = 1.55(25) \text{ T}$$
$$\mu_B H_c \sim J/180$$

Comparison to theories

- Algebraic critical spin liquid - U(1)

Ran et al, PRL **98**, 117205 (2007)

Hermele et al, PRB **77**, 224413 (2008)

-Gapless

-Critical behavior

-Instability ($H \neq 0$) $M \sim H^\alpha$ but $T_c \sim H$

Ran et al, PRL **102** 117205 (2009)

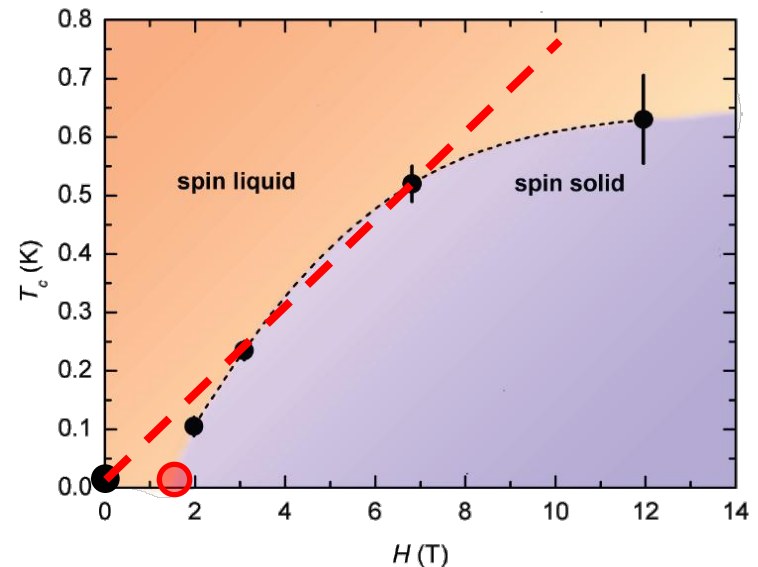
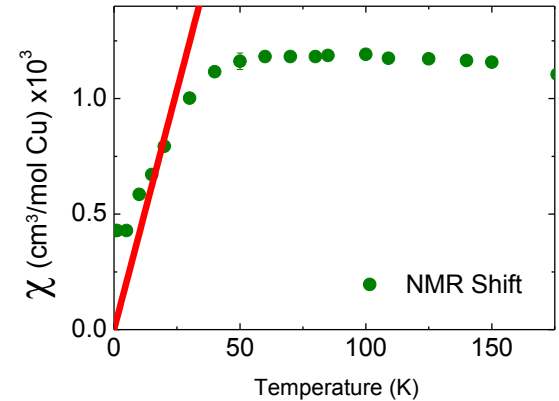
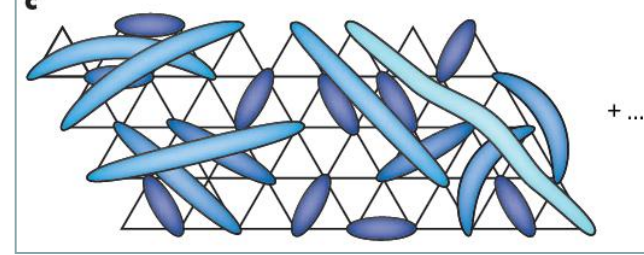
-Unstable to anisotropy

DM interaction \rightarrow L.R.O.

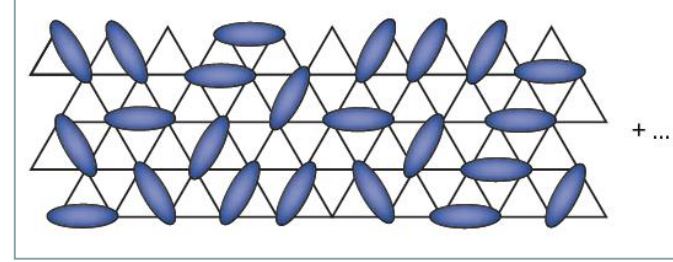
Hermele et al, PRB **77**, 224413 (2008)

$$\chi(T) = \frac{3.2\mu_B^2}{J^2}(k_B T)$$

$$\frac{1}{T_1} \propto T^\eta$$



Comparison to theories



- gapped spin liquid

Yan et al, Science (2011)

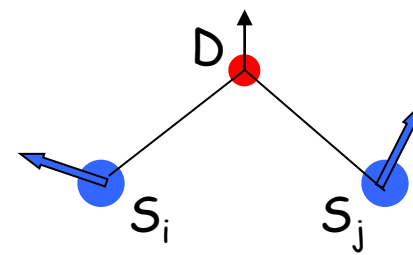
Gapped magnetic excitations ($S=1/2$)

Gapped non-magnetic excitations

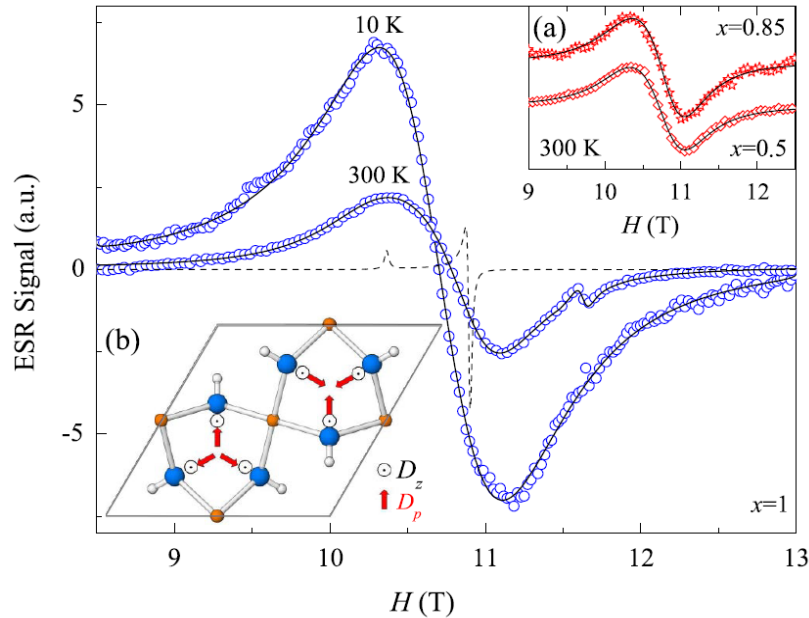
$$C_v \sim e^{-\Delta/T} ; \chi \sim e^{-\Delta'/T}$$

Need to restore
ground state susceptibility
and some criticality...

Dzyaloshinskii-Moriya interactions



$$H_{DM} = D \cdot (S_i \wedge S_j)$$



Broad room T ESR line \leftarrow magnetic anisotropy from DM

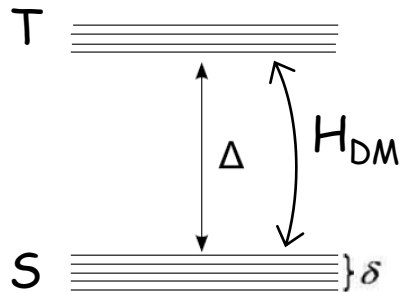
$$|D_z| = 0.08 \text{ J}, |D_p| \sim 0.01 \text{ J}$$

A. Zorko et al, PRL 101, 026405 (2008)

$$0.045 \text{ J} < |D_z| < 0.08 \text{ J}$$

S. El Shawish et al, PRB 81, 224421 (2010)

- DM interaction mixes singlet and triplet and could restore a susceptibility at $T=0$

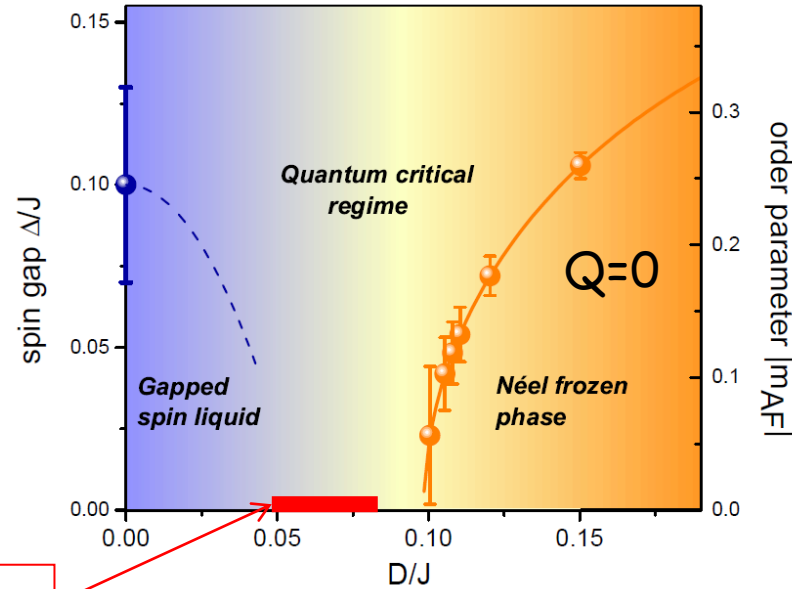


Miyahara et al. PRB 75, 184407 (2007)

Tovar et al, PRB 79, 024405 (2009)

quantum criticality sustained by DM

O. Cepas et al, PRB **78**, 140405 (R) (2008)
Y. Huh et al, PRB **81**, 144432 (2010)
L. Messio et al, PRB **81**, 064428 (2010)

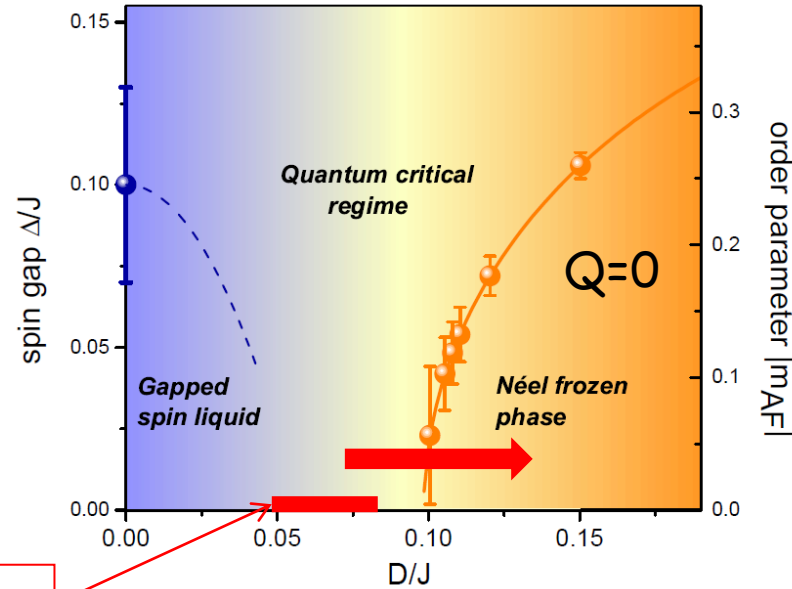


Herbertsmithite

- $H=0$ Spin liquid (some kind), finite $T=0$ susceptibility and hints of criticality (T_1 , INS) due to proximity of QCP

quantum criticality sustained by DM

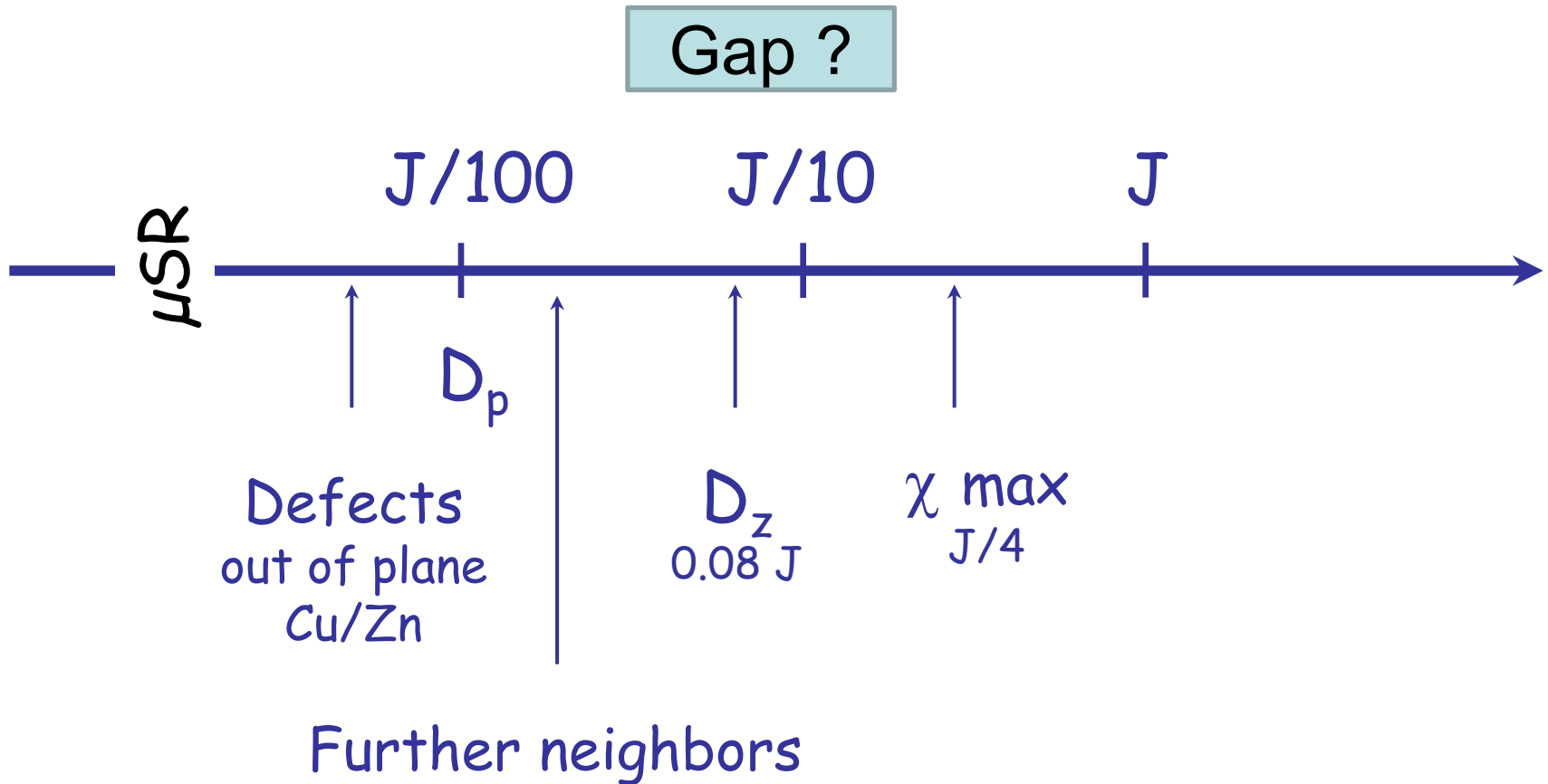
O. Cepas et al, PRB **78**, 140405 (R) (2008)
Y. Huh et al, PRB **81**, 144432 (2010)
L. Messio et al, PRB **81**, 064428 (2010)



Herbertsmithite

- $H=0$ Spin liquid (some kind), finite $T=0$ susceptibility and hints of criticality (T_1 , INS) due to proximity of QCP
- $H \ll 0$ Field induced transition for $H_c \sim D_c - D_{\text{herb}}$

Energy scales ($J = 180 \text{ K}$)



Conclusion (1)

The spin liquid state is quite elusive experimentally

-> « perturb to reveal » strategy

- Magnetic Field and/or DM

- Pressure

D. P. Kozlenko et al, Phys.
Rev. Lett. 108, 187207 (2012)

- Response to (non magnetic) defects

Olariu et al, PRL 100, 087202 (2008)

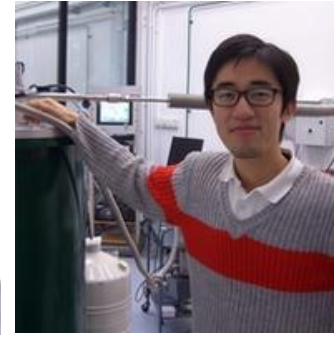
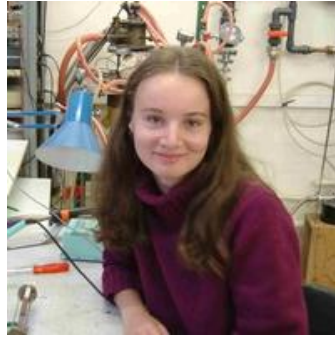
I. Rousochatzakis et al, PRB 79, 214415 (2009)



Collaborations

@ LPS

F. Bert, A. Olariu (phD), A. Zorko (post doc), M. Jeong (post doc), E. Kermarrec (phD)



Samples

- J. C. Trombe, F. Duc, *CEMES, Toulouse, France*
- M. de Vries, G. Nilsen, A. Harrison, *Edinburgh, UK*
- P. Strobel, Institut Néel, *Grenoble, France*
- R. Colman, A. Wills
- M. Velazquez, ICMCB Bordeaux

Low T/ High field magnetization

S. Nakamae, F. Ladieu, D. L'Hote, P. Bonville, *CEA Saclay, France*

μ SR

- C. Baines, A. Amato, PSI, Switzerland
- J. Lord, A.D. Hillier, ISIS, UK

High field NMR

M. Horvatic, S. Kraemer, LNCMI Grenoble



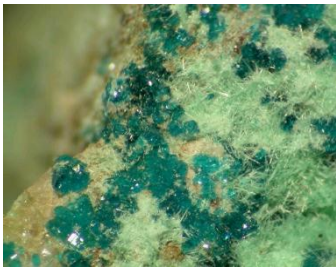
Materials are mostly existing minerals all made of Cu^{2+} $S=1/2$



Herbertsmithite
MP Shores et al, JACS, 2005



Volborthite
Z. Hiroi et al, JPSJ
2001



Haydeeite
R. Colman et al, Chem. Mater. 2010



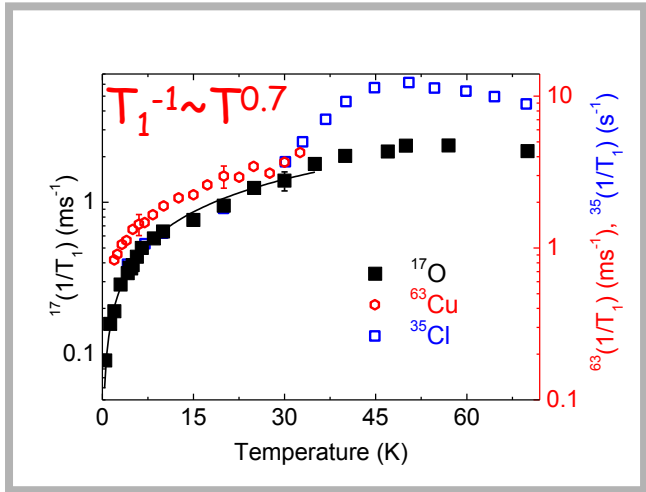
Kapellasite
R. Colman et al, Chem. Mater. 2008



Vesignieite
Y. Okamoto et al, JPSJ 2009

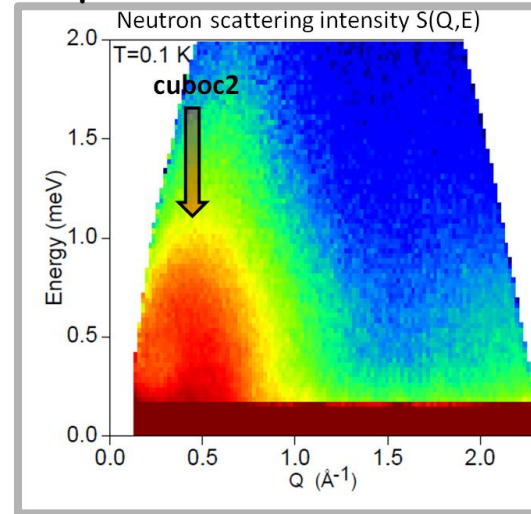
Gapped or gapless spin liquids...

Herbertsmithite



Olariu et al, PRL 100, 087202 (2008)
 Imai, PRL 100, 077208 (2008)

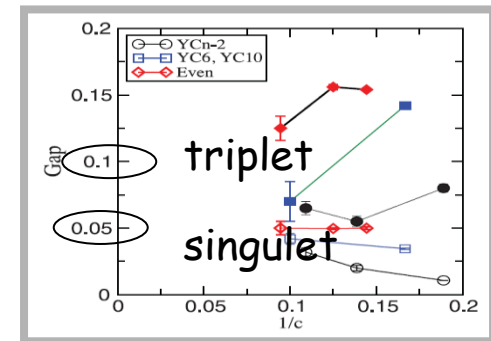
kapellasite



B. Fak et al, PRL 109, 037208 (2012)

DMRG : gapped excitation spectrum

S. Yan et al, Science 332 (2011)
 S. Depenbrock et al, PRL 109, 067201 (2012) : $\Delta = 0.13(1)J$



Role of perturbations in real compounds?
 Need for other and different examples...

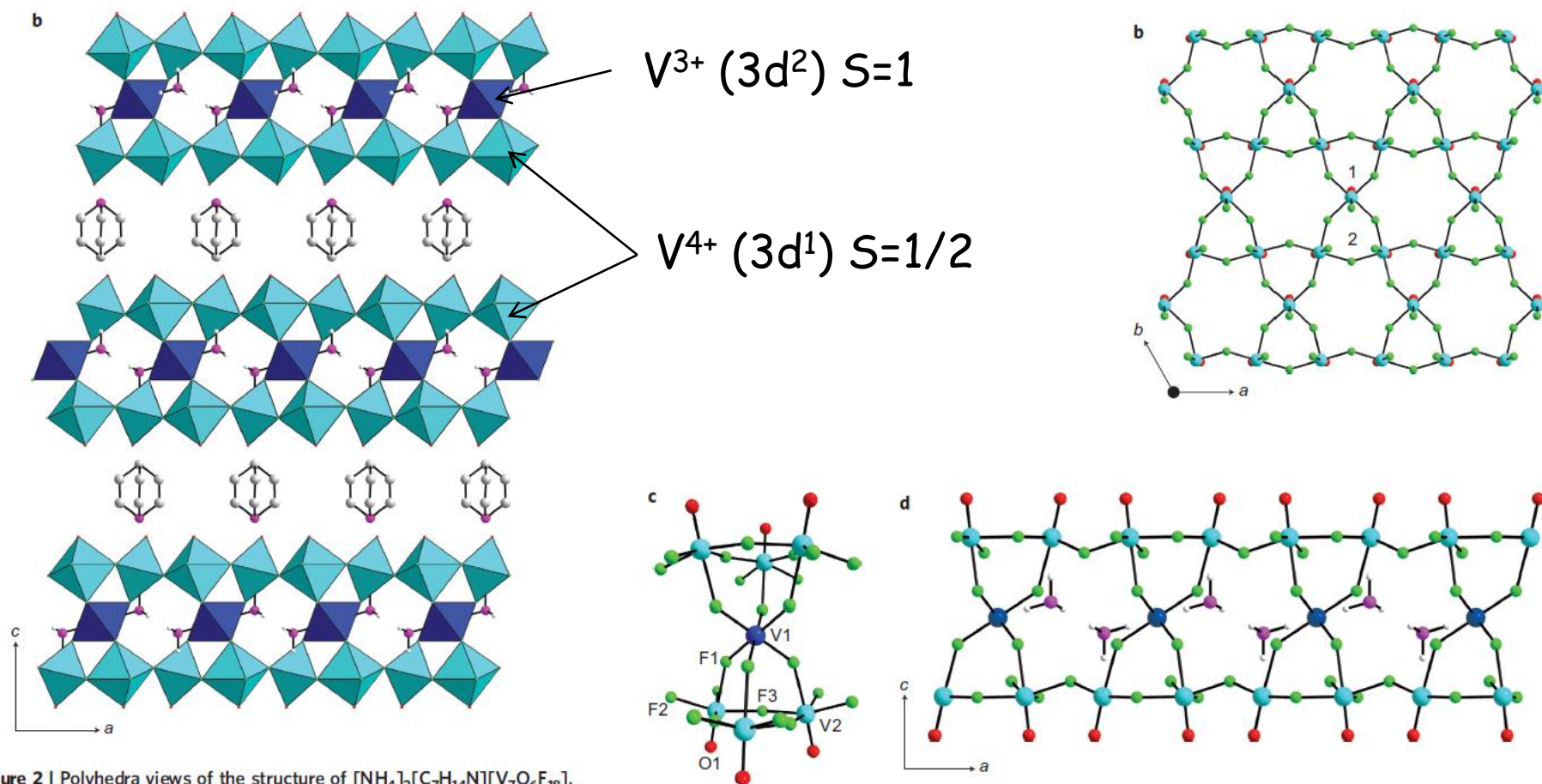
**Spin liquid state in the vanadium based kagome
compound $[\text{NH}_4]_2[\text{C}_7\text{H}_{14}\text{N}][\text{V}_7\text{O}_6\text{F}_{18}]$**

L. Clark, J.-C. Orain, F. Bert et al, PRL 110, 207208 (2013)

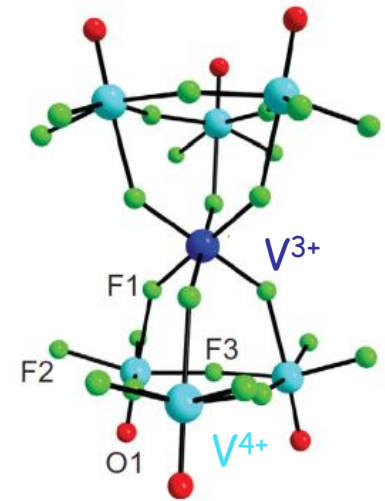
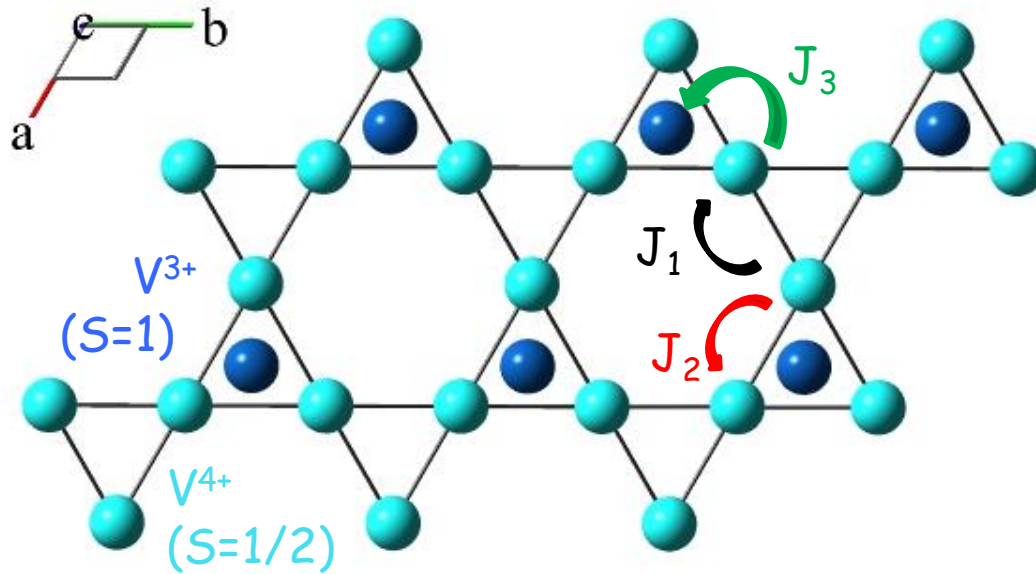
= DQVOF

 $\theta_{\text{AF}} \sim 60 \text{ K}$

An ionothermally prepared $S = 1/2$ vanadium oxyfluoride kagome lattice

Farida H. Aidoudi¹, David W. Aldous¹, Richard J. Goff¹, Alexandra M. Z. Slawin¹, J. Paul Attfield², Russell E. Morris¹ and Philip Lightfoot^{1*}**Figure 2** | Polyhedra views of the structure of $[\text{NH}_4]_2[\text{C}_7\text{H}_{14}\text{N}][\text{V}_7\text{O}_6\text{F}_{18}]$.

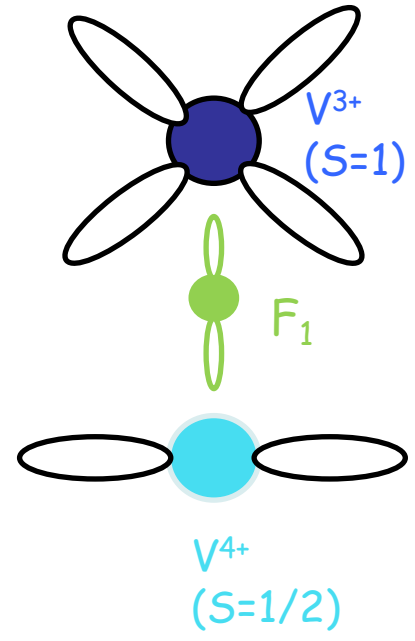
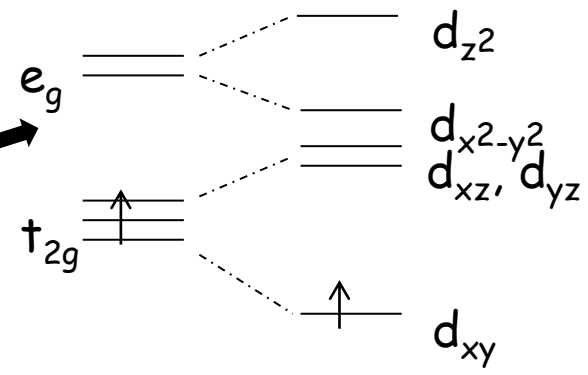
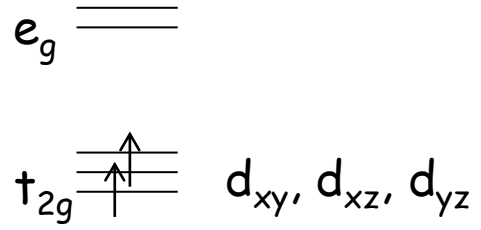
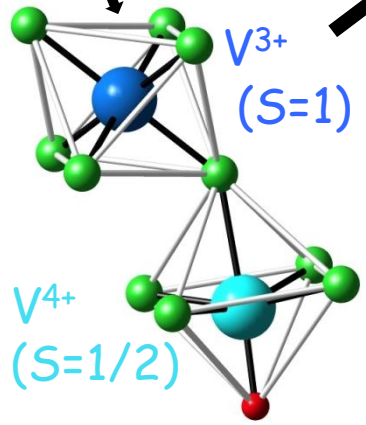
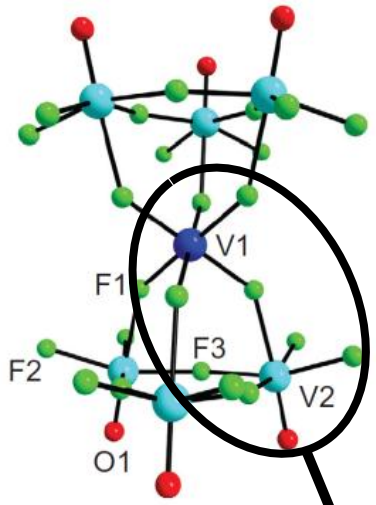
Magnetic model for DQVOF



Role of spins $S=1$?

Relevance of the quantum kagome antiferromagnet model ?

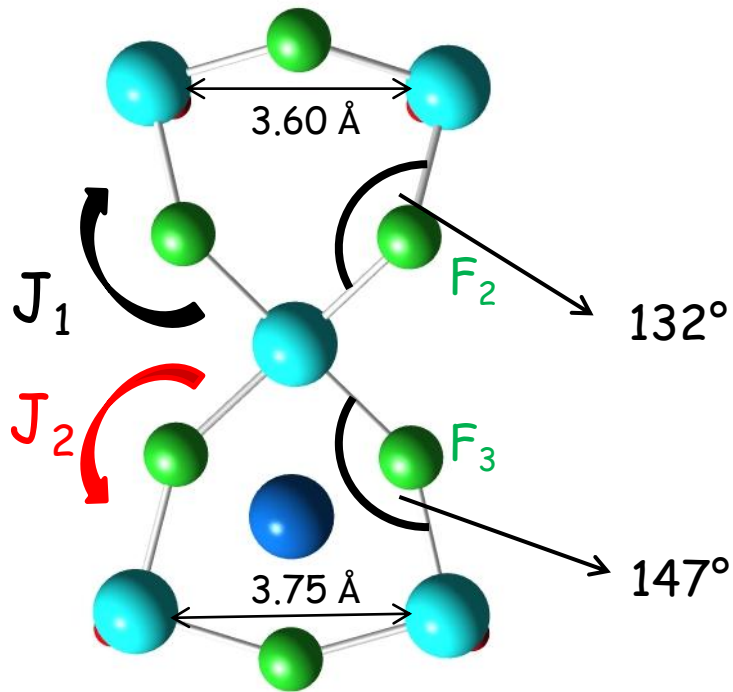
Magnetic model for DQVOF



No hybridation:

- $J_3 \sim 0$ -> interplane V³⁺ are decoupled from kagome planes
- > kagome planes are decoupled from each others

Magnetic model for DQVOF

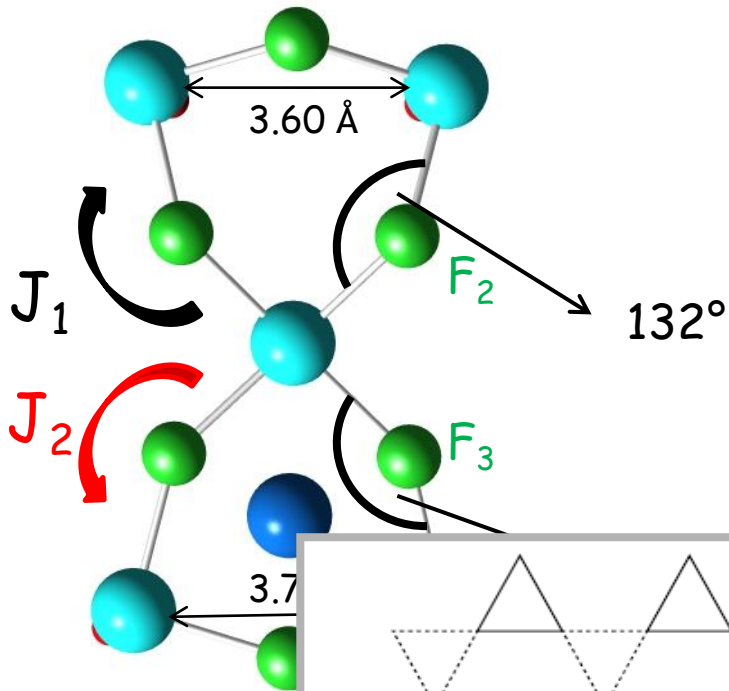


- Curie Weiss $\theta = (J_1 + J_2)/2 \sim 60$ K
- $J \sim \cos^2 \theta \rightarrow J_1/J_2 = 0.64$

$J_1 \sim 47$ K
$J_2 \sim 73$ K

DFT (O. Janson et al [S10107](#)):
 $J_1/J_2 = 0.75$

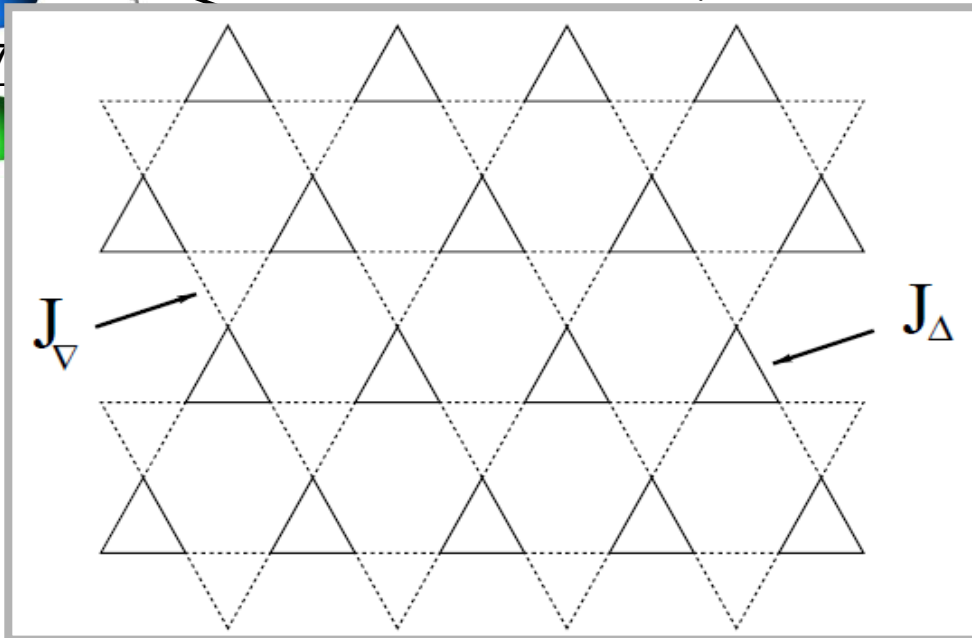
Magnetic model for DQVOF



- Curie Weiss $\theta = (J_1 + J_2)/2 \sim 60$ K
- $J \sim \cos^2 \theta \rightarrow J_1/J_2 = 0.64$

$J_1 \sim 47$ K $J_2 \sim 73$ K

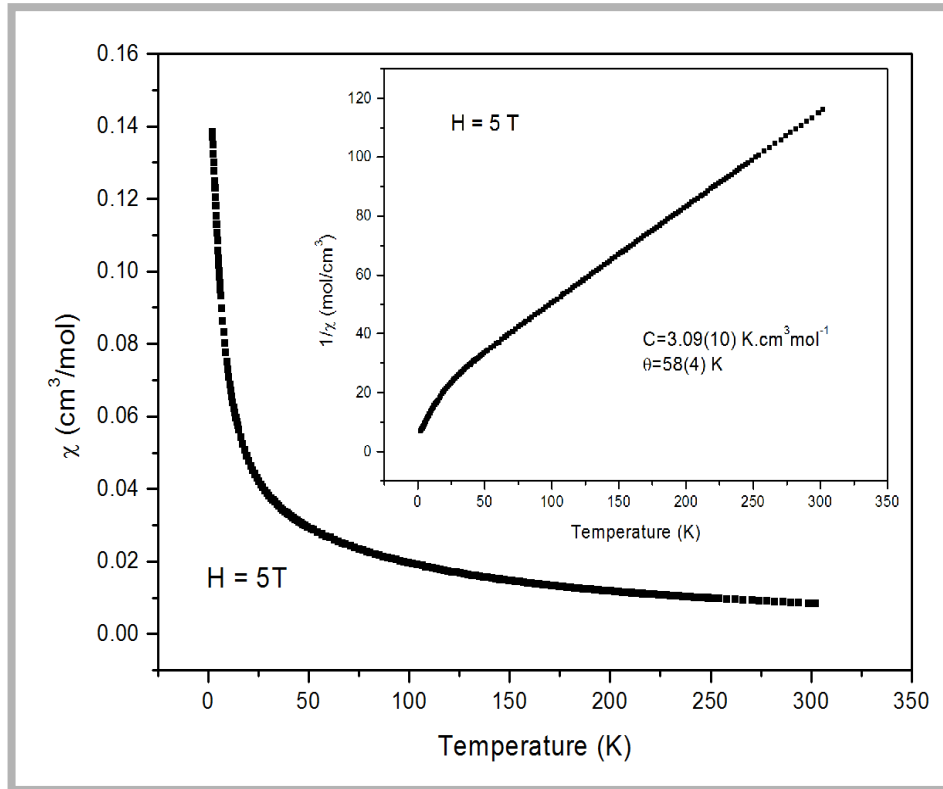
DFT (O. Janson et al [S10107](#)):



« Trimerized kagome lattice »

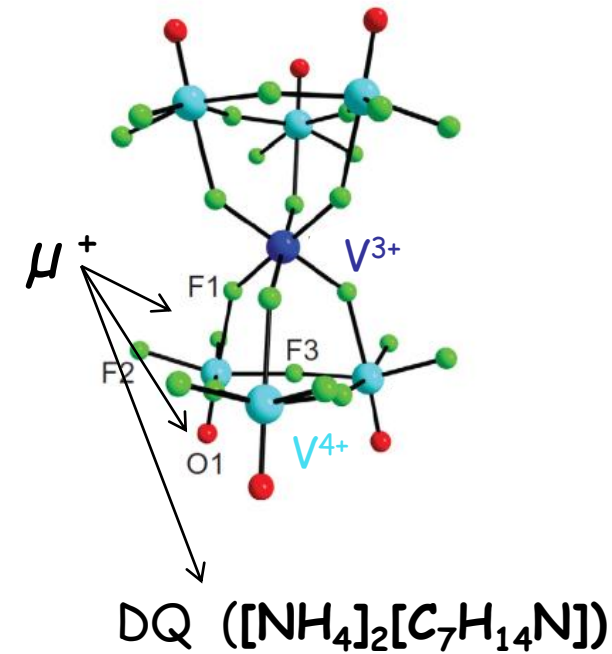
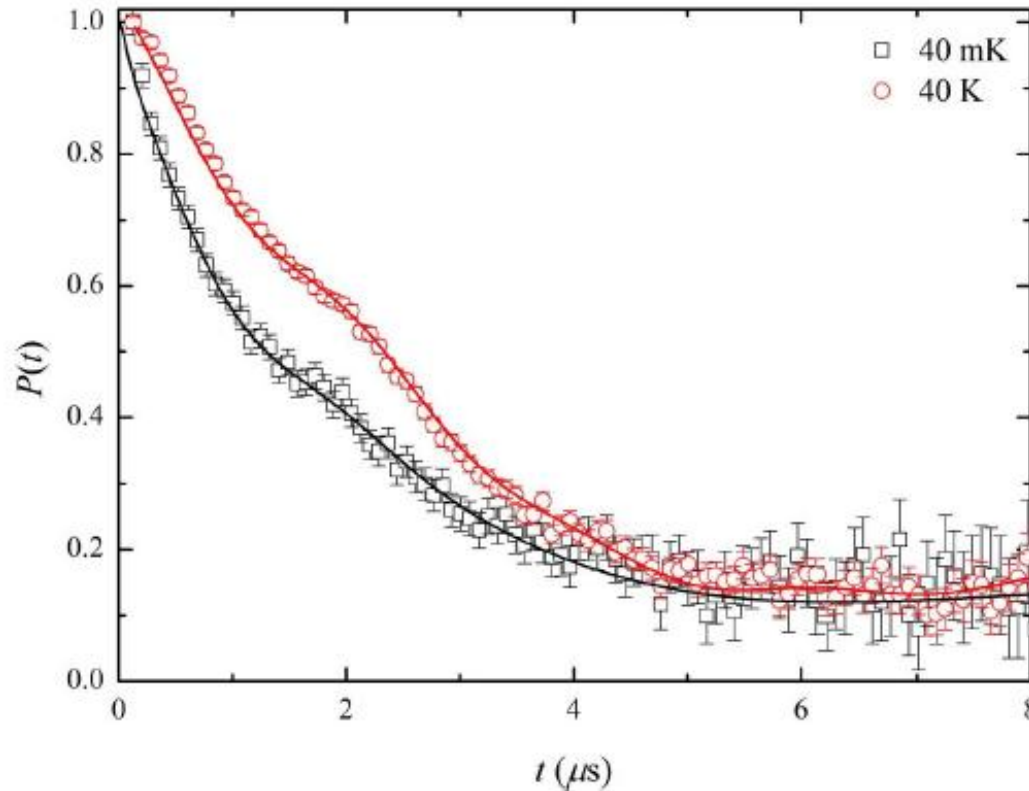
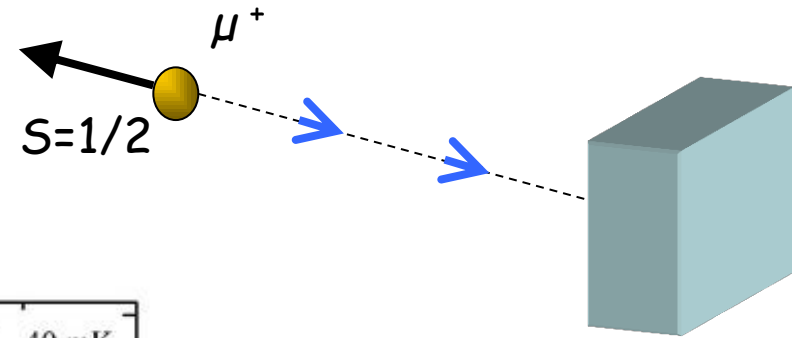
F. Mila 98,
 M. Mambrini et al 00
 M. Zhitomirsky 05

Susceptibility



AF interactions, no sign of transition down to 2K \rightarrow frustration
Large curie tail C/T at low T \leftarrow nearly free $S=1$ (V^{3+})

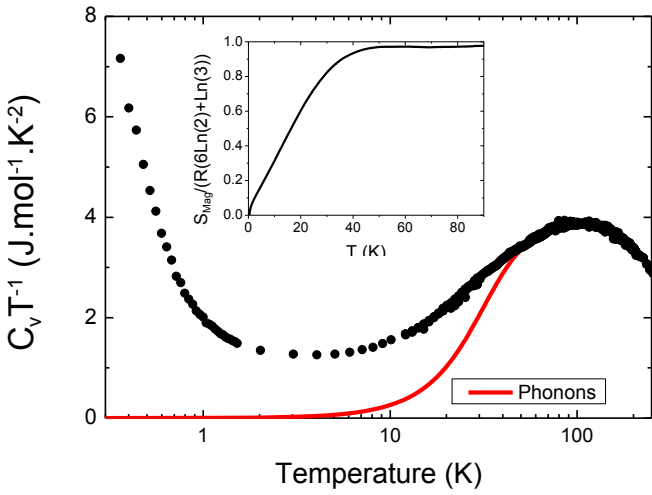
Muon spin relaxation (μ SR)



No fast relaxation, no '1/3rd tail' at low T

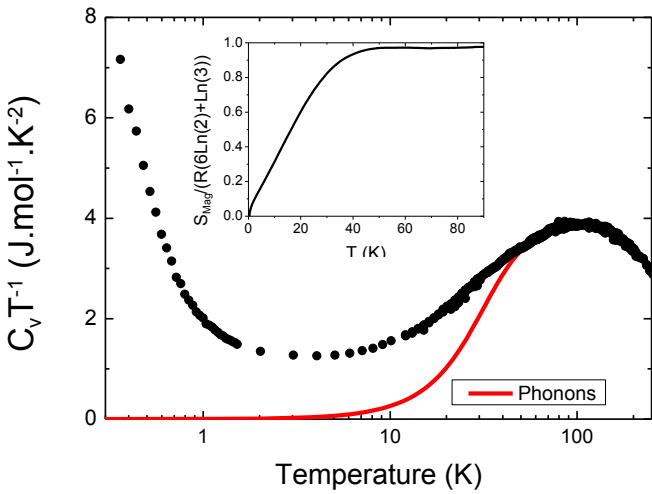
-> no spin freezing down to 40mK

Heat capacity

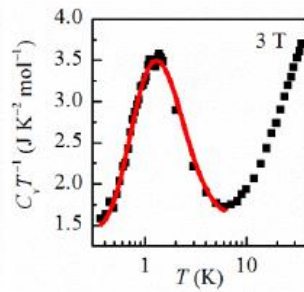
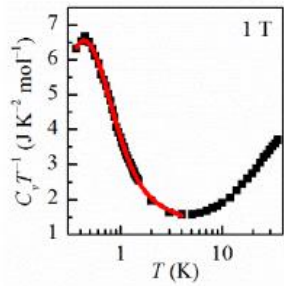
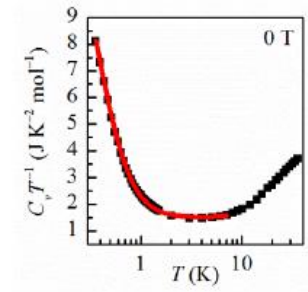


Phonons

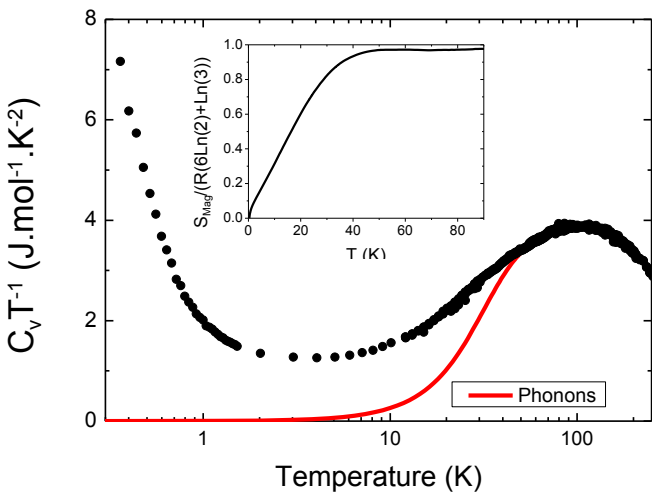
Heat capacity



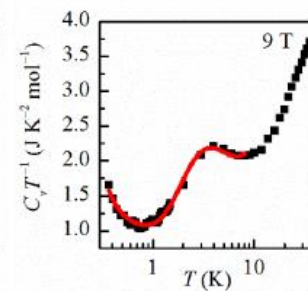
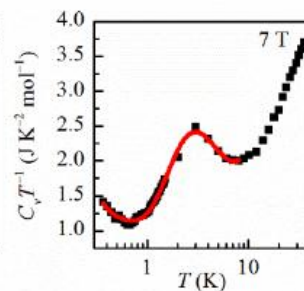
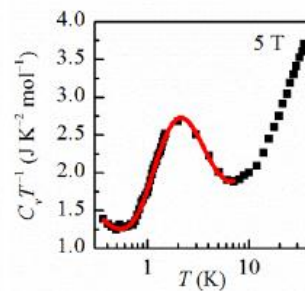
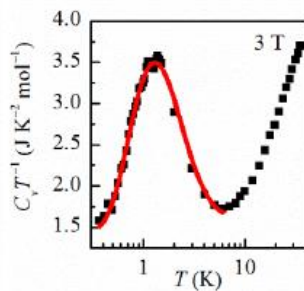
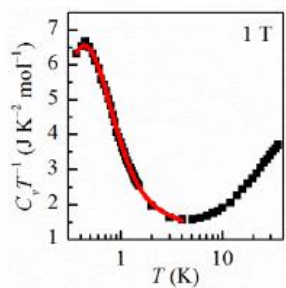
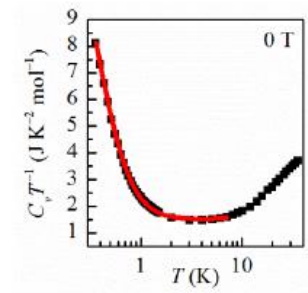
Phonons
+
 V^{3+} ($S=1$) Schottky



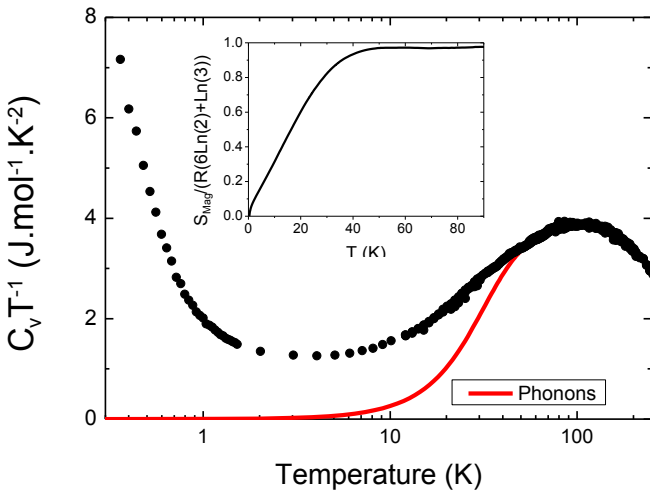
Heat capacity



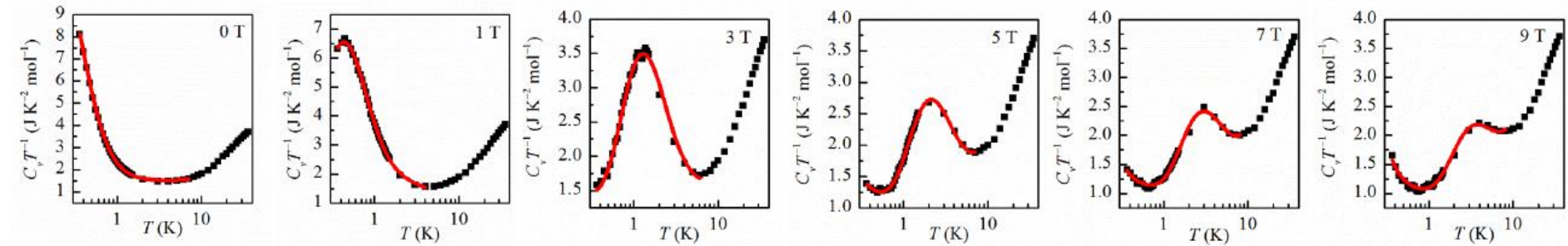
Phonons
+
 V^{3+} ($S=1$) Schottky
+
H/F nuclear Schottky



Heat capacity



Phonons
 +
 V^{3+} ($S=1$) Schottky
 +
 H/F nuclear Schottky
 +
kagome ?



Heat capacity

Phonons

+

V^{3+} ($S=1$) Schottky

+

H/F nuclear Schottky

+

kagome ?

Heat capacity

Phonons
+
 V^{3+} ($S=1$) Schottky
+
H/F nuclear Schottky
+
kagome ?

Field dependence









Heat capacity

Phonons
 +
 V^{3+} ($S=1$) Schottky
 +
 H/F nuclear Schottky
 +
kagome ?

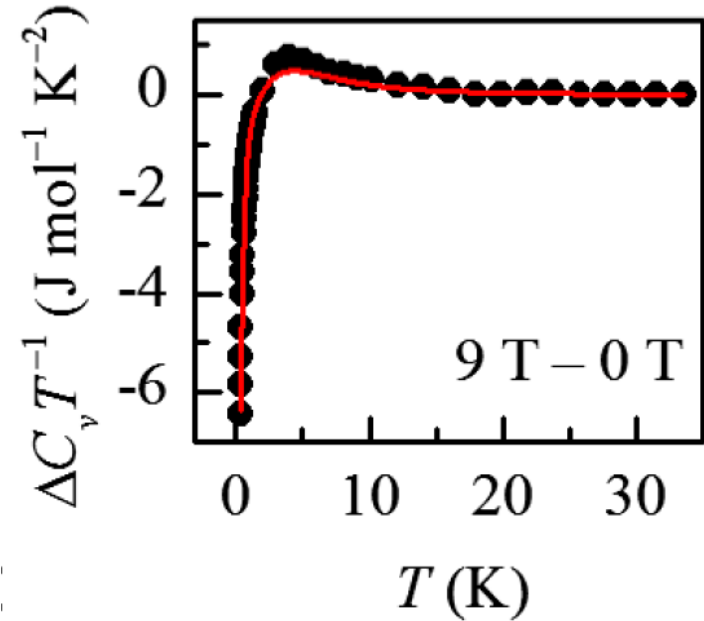
Field dependence

✗

✓

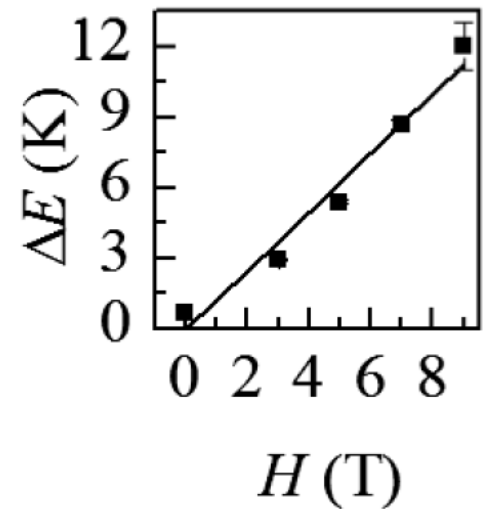
✓

✗

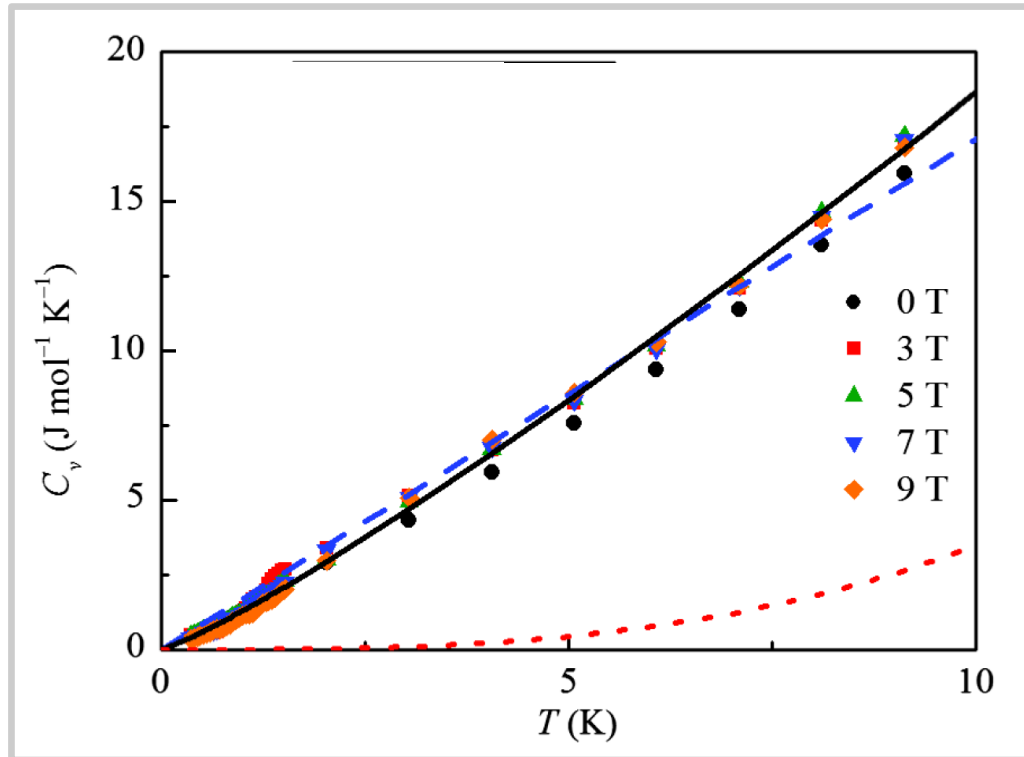


$$\Delta E = g \mu_B S$$

$$\rightarrow g = 1.8 \quad (V^{3+})$$



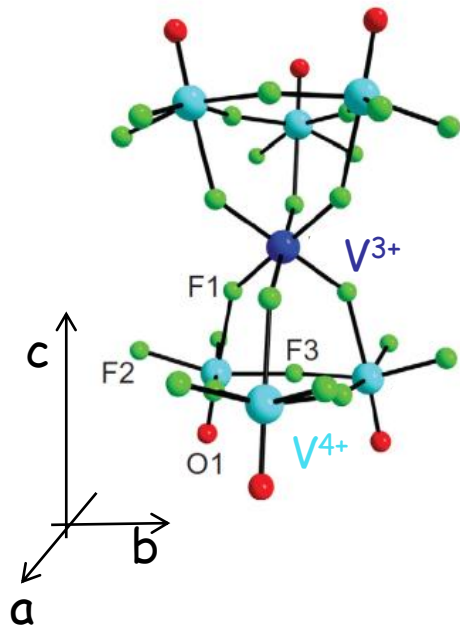
Heat capacity



The full excitation spectrum is not gapped ($\Delta < 0.3 \text{K} \sim \text{J}/200$)

- Gapless fermionic spinon excitations, $\gamma = 0.2 \text{ J/K}^2/\text{mol V}^{4+}$
- Gapless continuum of non-magnetic excitations?

F NMR

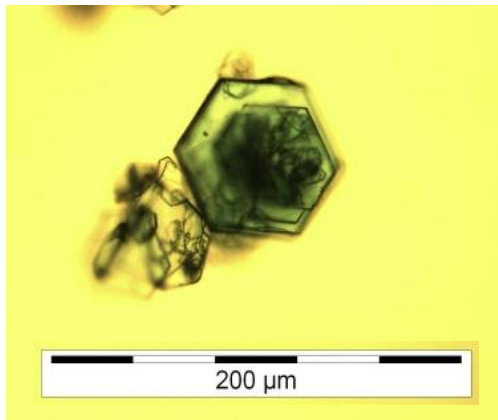


Fluorine nuclear magnetic resonance ($I=1/2$)

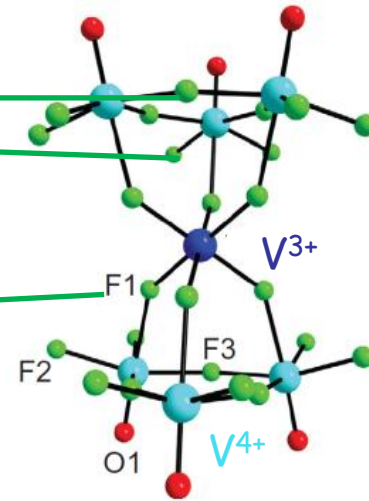
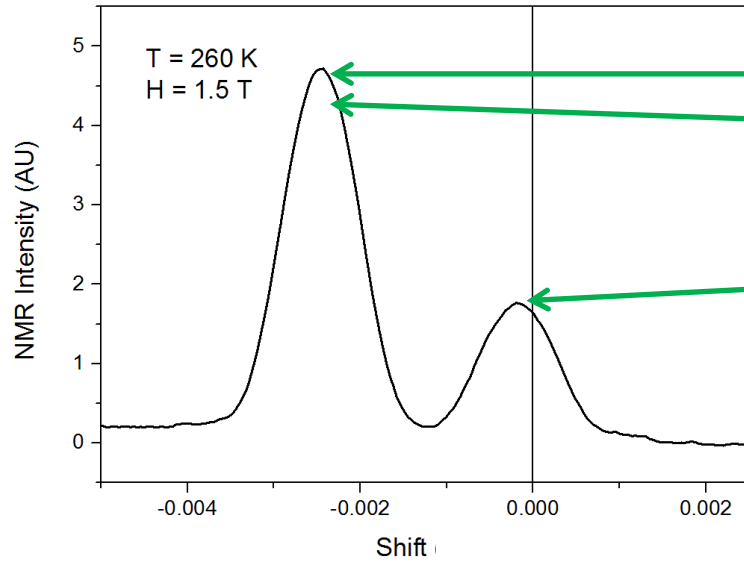
- > F participate in superexchange
- > good local probe of magnetism

Sample : powder
(powder distribution-> broad spectra) ☹️

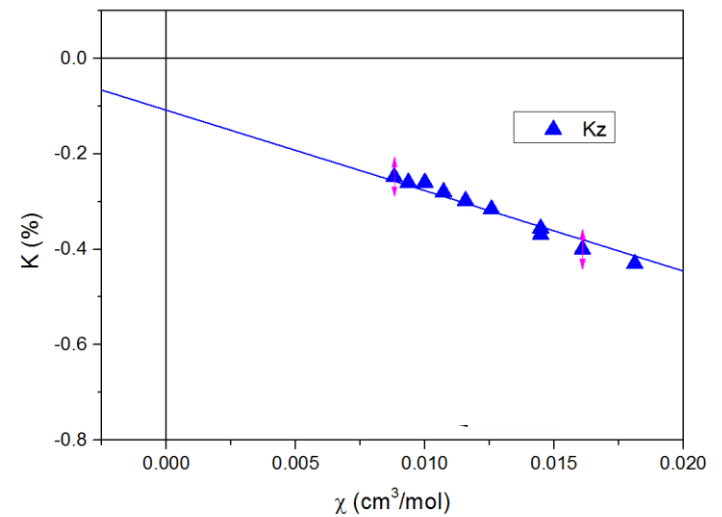
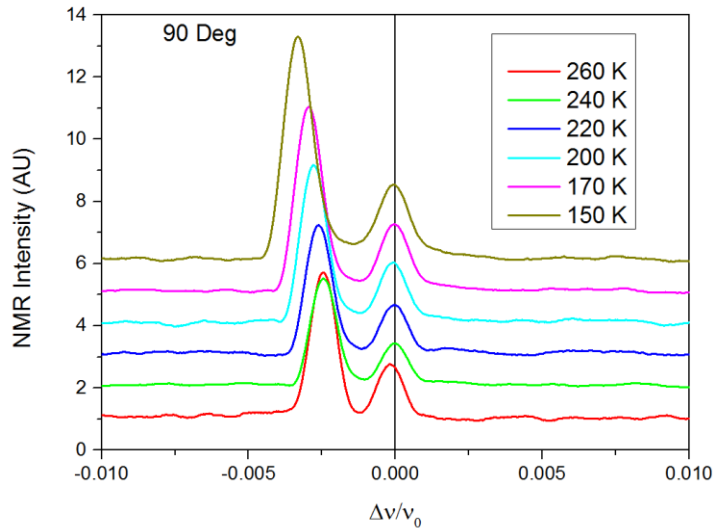
100% oriented powder ☺️
 $c // B$
 a, b random



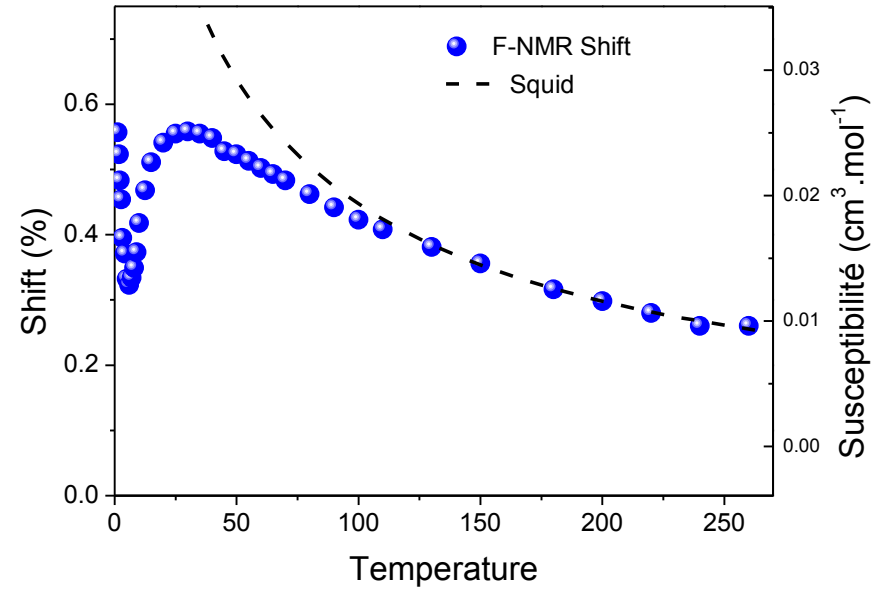
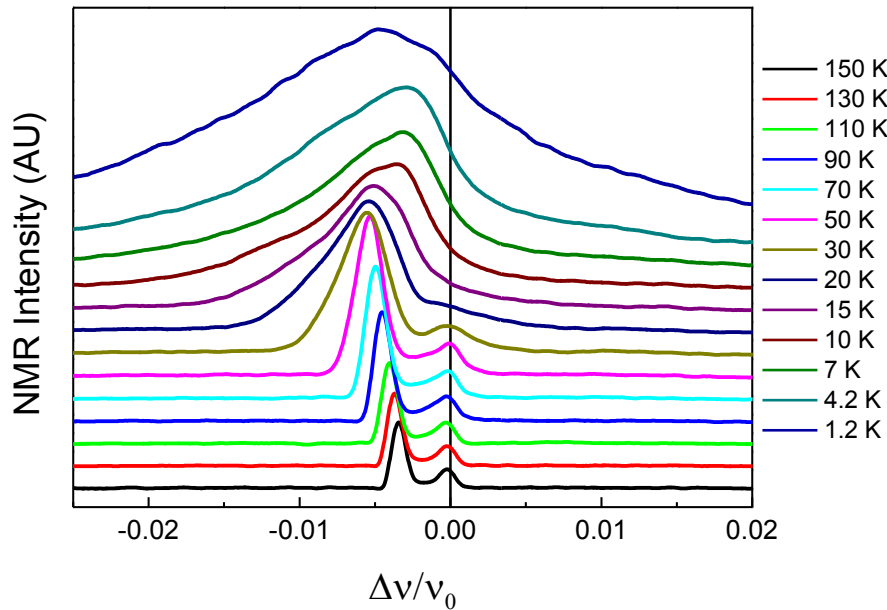
F NMR - local susceptibility



Oriented samples H//c

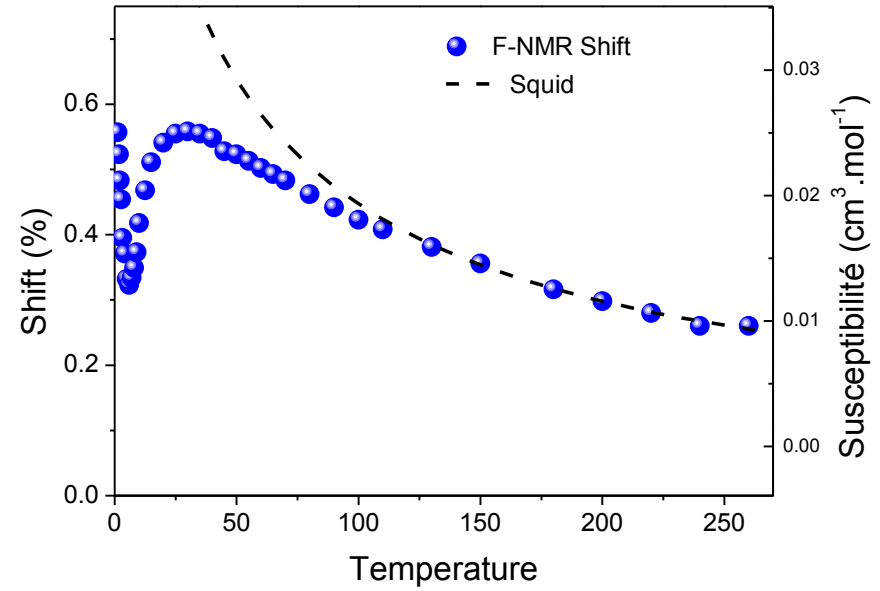
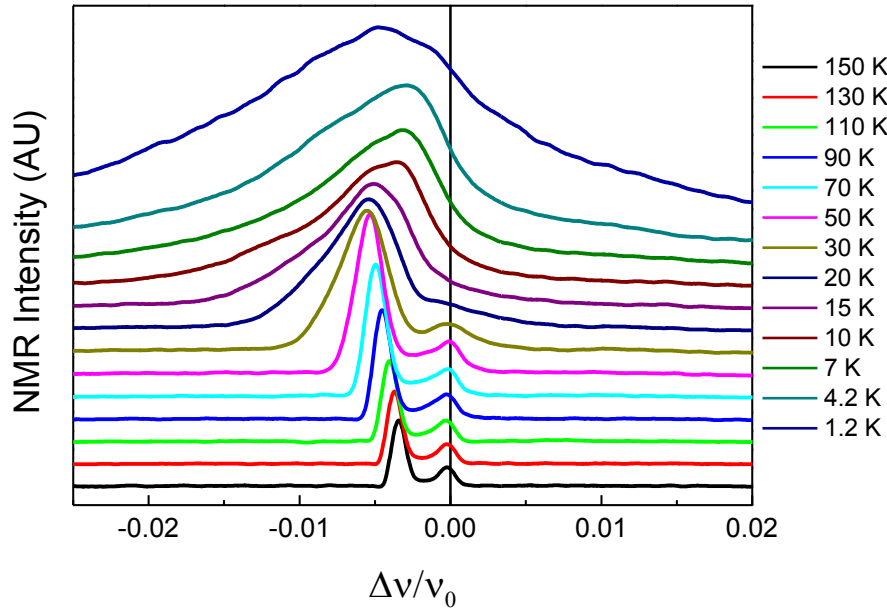


F NMR - local susceptibility

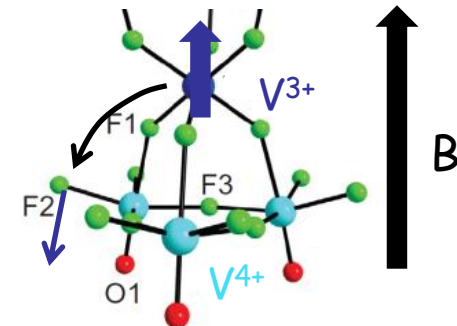


- F-NMR probes the local kagome susceptibility $\neq \chi_{\text{SQUID}}$
- Enhancement of short range AF correlations at $T \sim J/2$

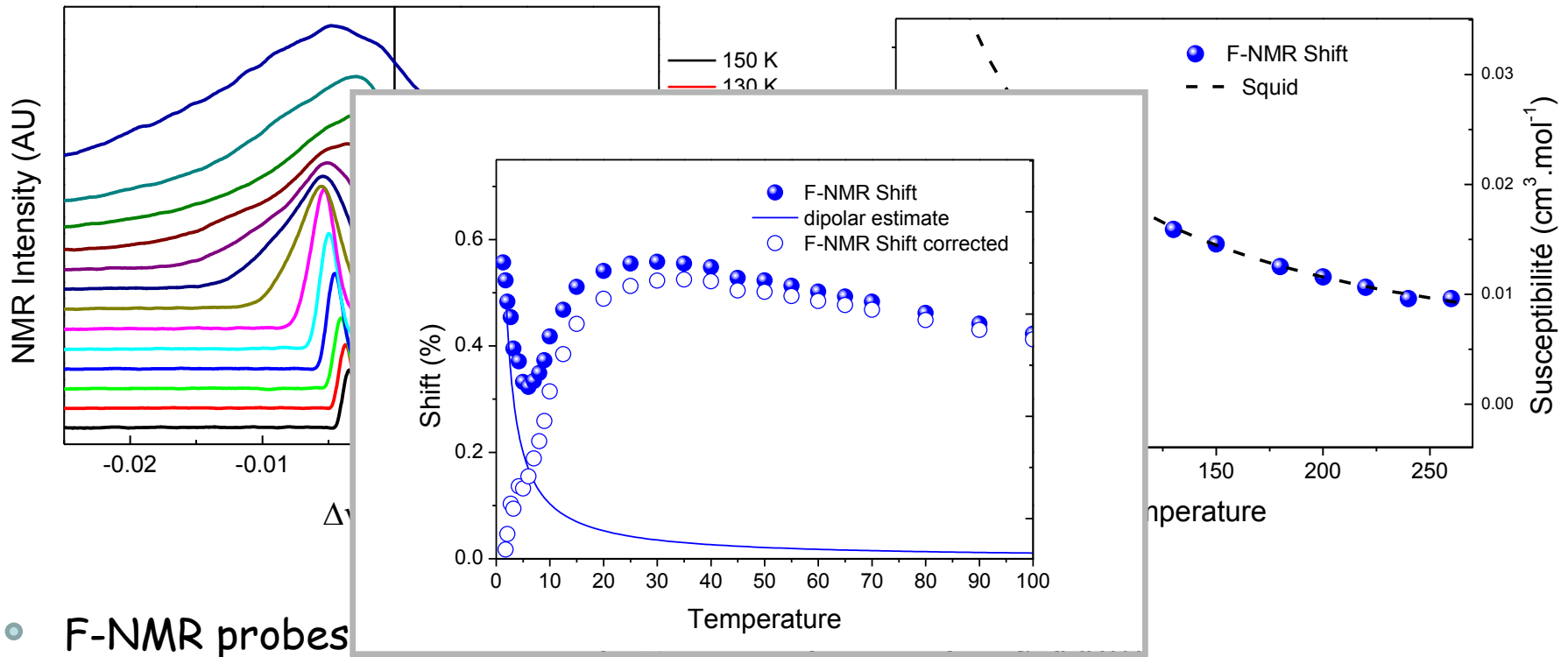
F NMR - local susceptibility



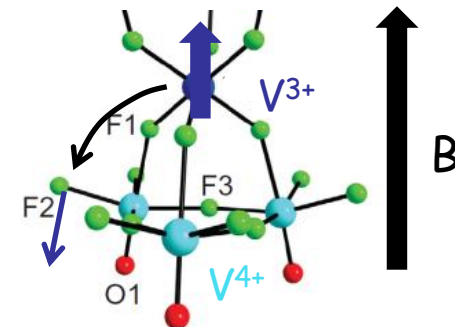
- F-NMR probes the local kagome susceptibility $\neq \chi_{\text{SQUID}}$
- Enhancement of short range AF correlations at $T \sim J/2$
- At low T, influence of V^{3+} dipolar field



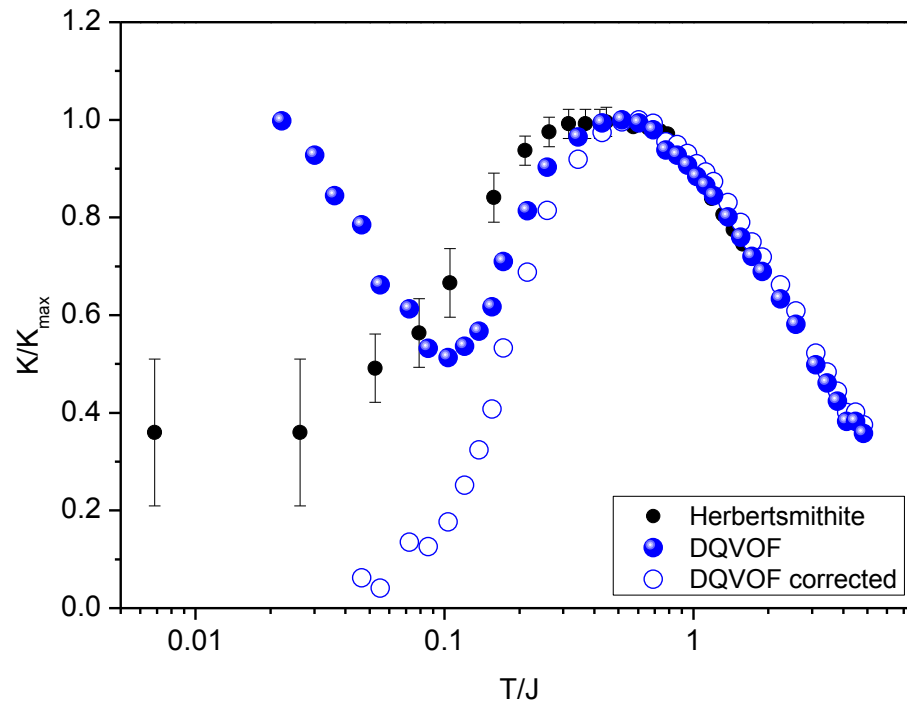
F NMR - local susceptibility



- F-NMR probes
- Enhancement of short range AF correlations at $T \sim J/2$
- At low T , influence of V^{3+} dipolar field
- At $T \rightarrow 0$, local susceptibility is very small if not 0

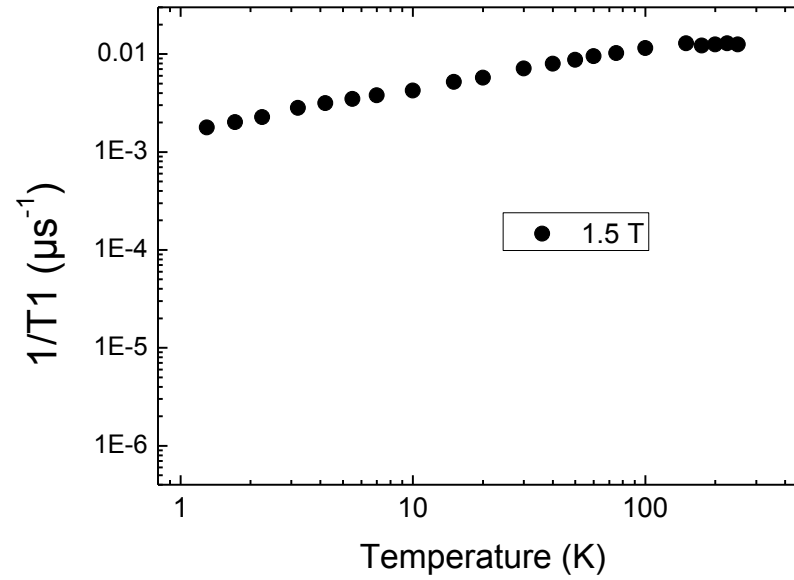


F NMR - local susceptibility

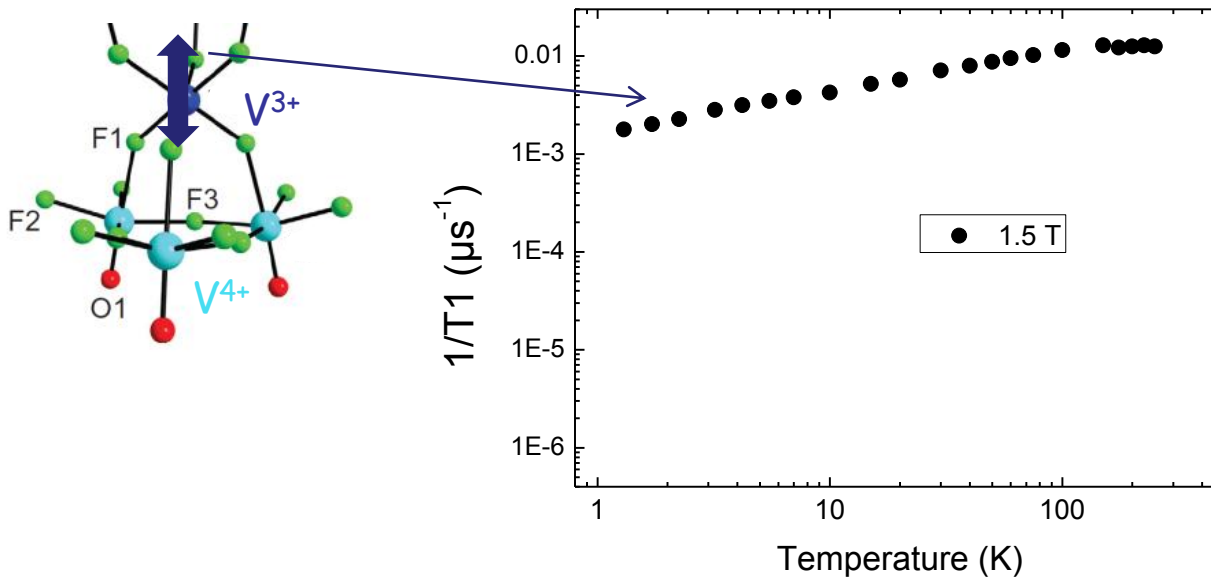


- Faster drop of the susceptibility than in gapless Herbertsmithite

F NMR - spin dynamics

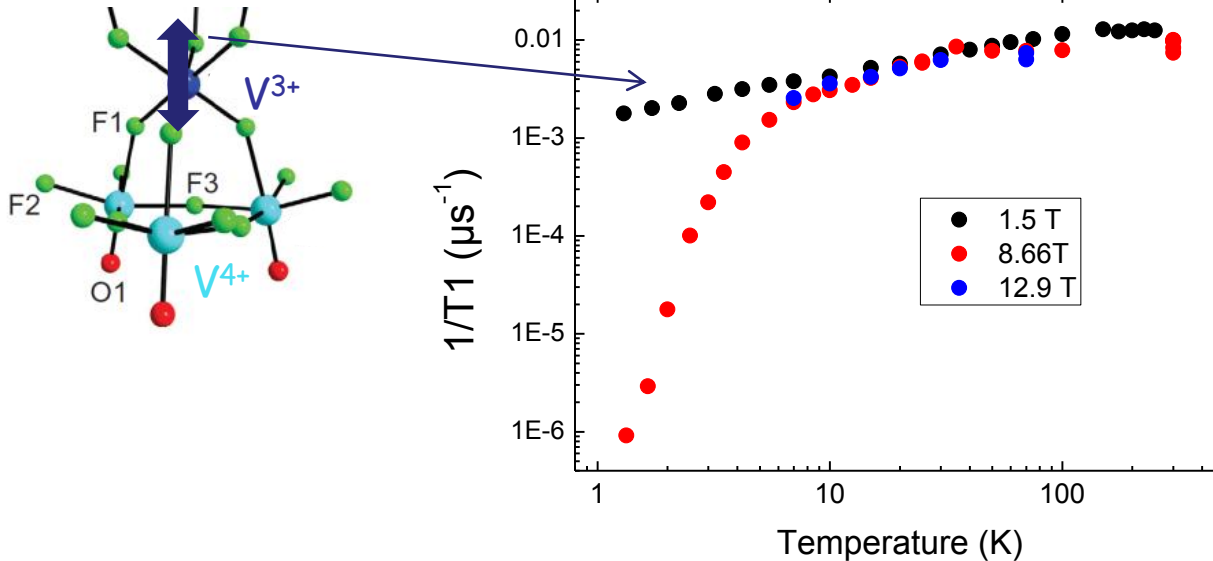


F NMR - spin dynamics



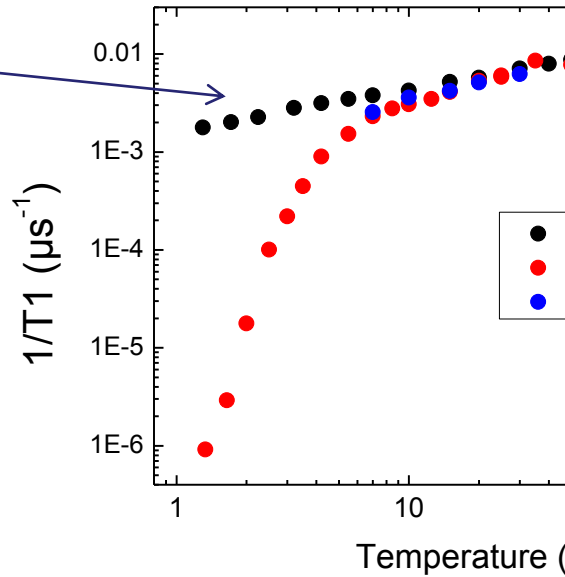
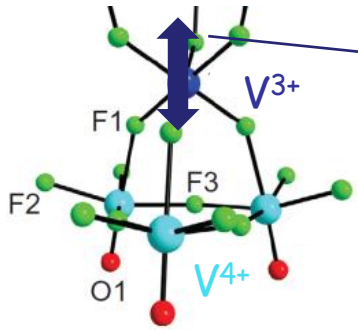
- At low field, low T , V^{3+} $S=1$ fluctuations dominate

F NMR - spin dynamics



- At low field, low T, V³⁺ S=1 fluctuations dominate
- At large field, low T, fast drop of 1/T₁
 - Saturation of S=1 spins (brillouin) : probably no

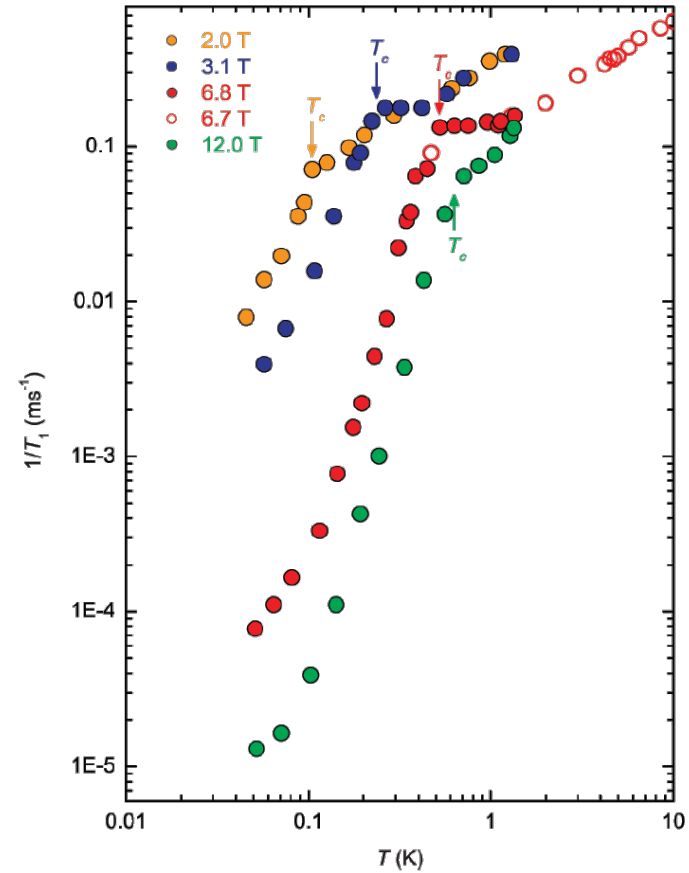
F NMR - spin dynamics



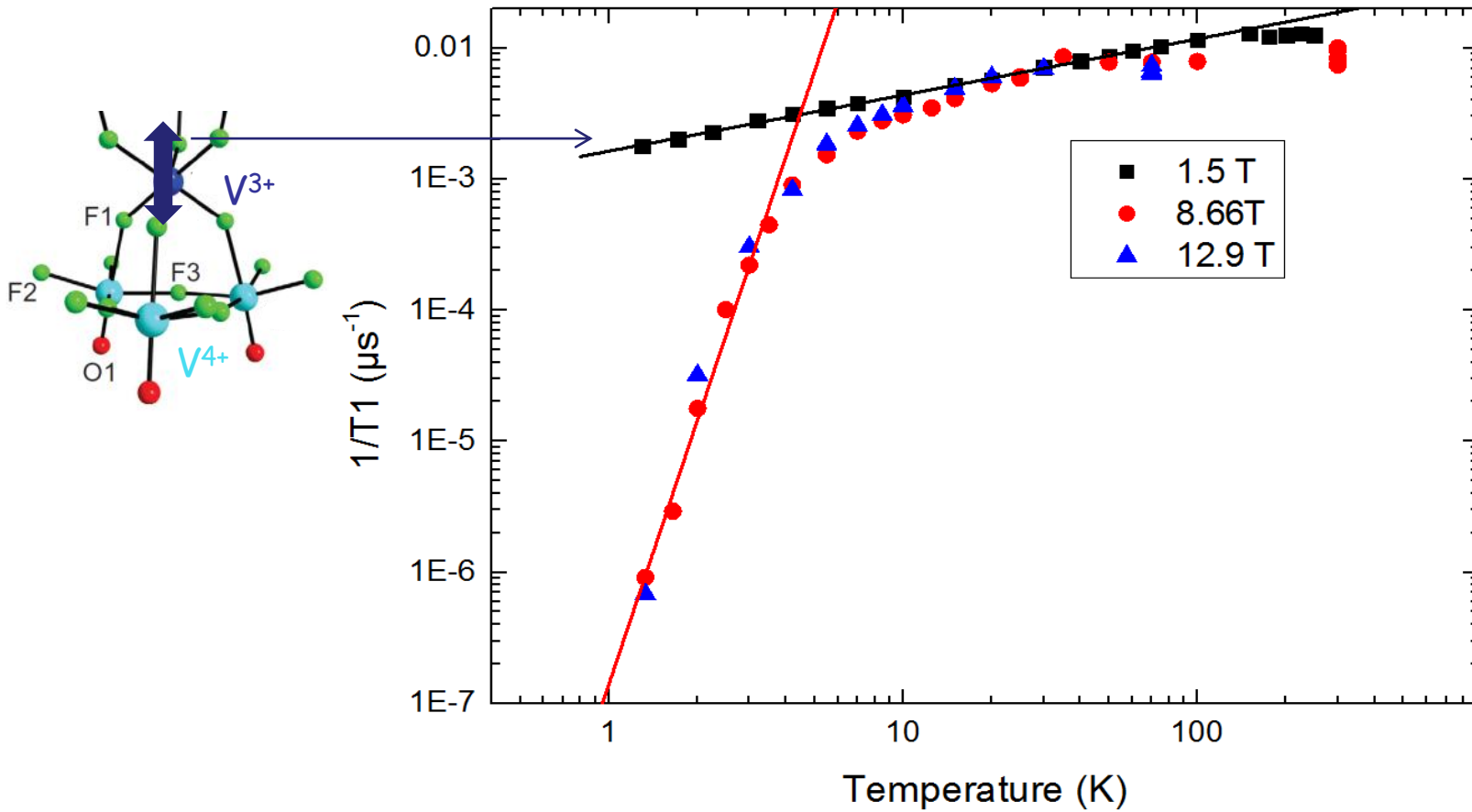
- At low field, low T, V^{3+} $S=1$ fluctuations
- At large field, low T, fast drop of $1/T_1$

- Saturation of $S=1$ spins (brillouin) : probably no
- Field induced transition : probably no

M. Jeong et al, PRL 107, 237201 (2011)

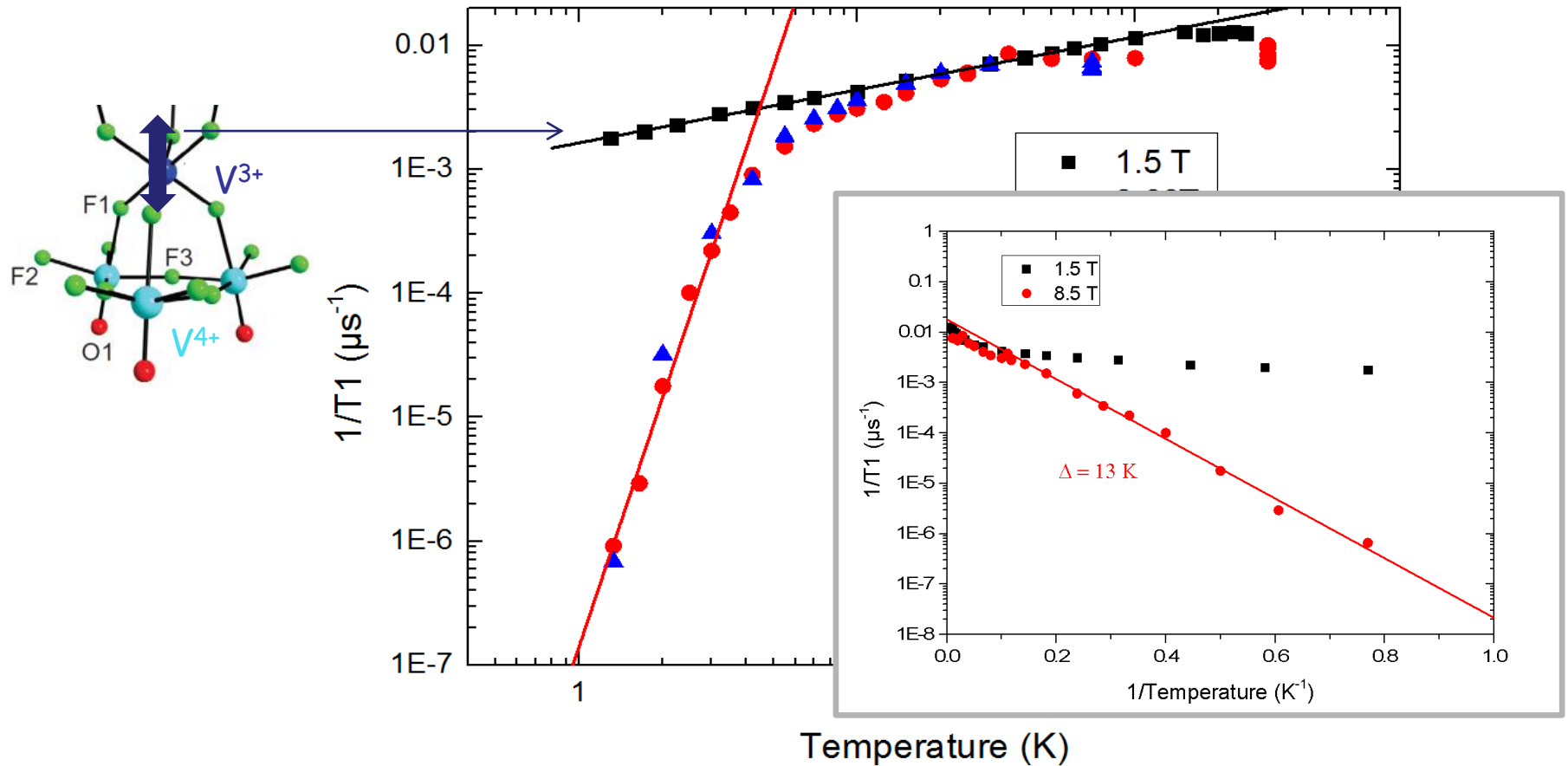


F NMR - spin dynamics



- At low field, low T , V^{3+} $S=1$ fluctuations dominate
- At large field, low T , fast drop of $1/T_1$

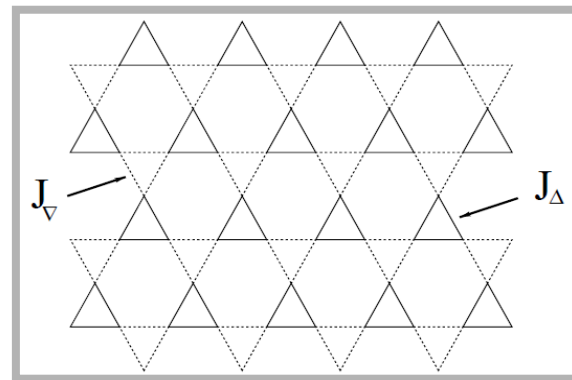
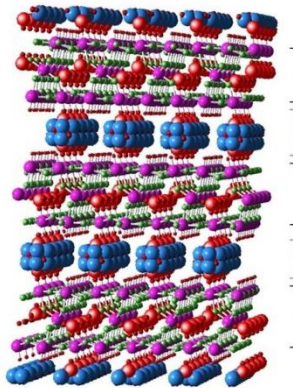
F NMR - spin dynamics



- At low field, low T , V^{3+} $S=1$ fluctuations dominate
- At large field, low T , fast drop of $1/T_1$
 - Spin gap $\Delta \sim 13 \text{ K} = 0.27 J_1$

Conclusion (2)

- DQVOF is a new highly frustrated quantum material based on vanadium
- Gapless excitation spectrum / gapped magnetic excitation
- complex structure but eventually rather simple and unique realization of trimerized kagome



- Relevant to the issue of the proliferation of singlets in the SRRVB picture

Collaborators - DQVOF

Université Paris-Sud

F. Bert

J.-C. Orain PhD



University of St Andrews

P. Lightfoot,
R.E. Morris;
F.H. Aidoudi

L. Clark



University of Edinburgh

P. Attfield,
M.A. de Vries,
A. Harrison

ISIS

M.T.F. Telling
J.S. Lord

PSI

A. Amato,
C. Baines

CEA - Saclay

P. Bonville



Hyperkagome: a 3D $S=1/2$ frustrated lattice

PRL 99, 137207 (2007)

PHYSICAL REVIEW LETTERS

week ending
28 SEPTEMBER 2007

Spin-Liquid State in the $S = 1/2$ Hyperkagome Antiferromagnet $\text{Na}_4\text{Ir}_3\text{O}_8$

Yoshihiko Okamoto,^{1,*} Minoru Nohara,² Hiroko Aruga-Katori,¹ and Hidenori Takagi^{1,2}

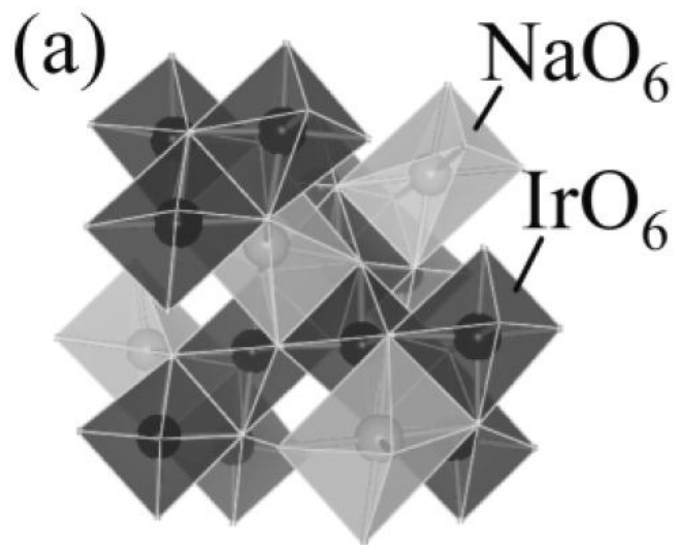
¹RIKEN (The Institute of Physical and Chemical Research), 2-1 Hirosawa, Wako, Saitama 351-0198, Japan

²Department of Advanced Materials, University of Tokyo and CREST-JST, 5-1-5 Kashiwanoha, Kashiwa, Chiba 277-8561, Japan

(Received 19 May 2007; revised manuscript received 24 July 2007; published 27 September 2007)

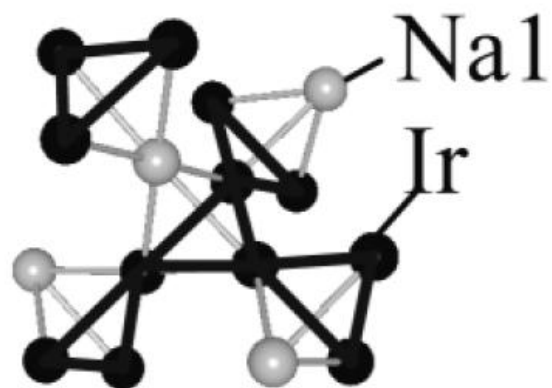
A spinel related oxide, $\text{Na}_4\text{Ir}_3\text{O}_8$, was found to have a three dimensional network of corner shared Ir^{4+} (t_{2g}^5) triangles. This gives rise to an antiferromagnetically coupled $S = 1/2$ spin system formed on a geometrically frustrated hyperkagome lattice. Magnetization M and magnetic specific heat C_m data

Hyperkagome structure: corner sharing

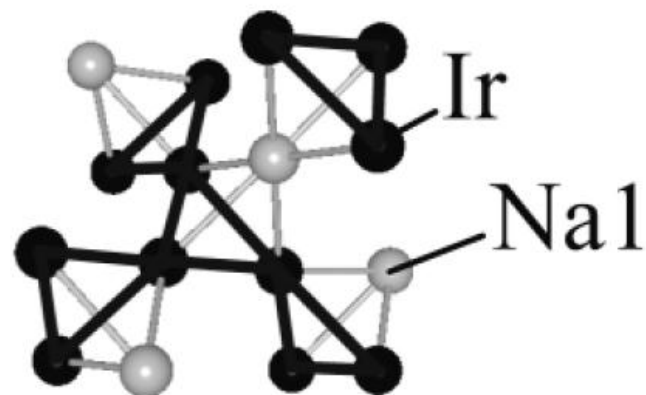


Effective spin
Ir⁴⁺: $J=1/2$ (t_{2g}^5)

(c)
 $P4_132$

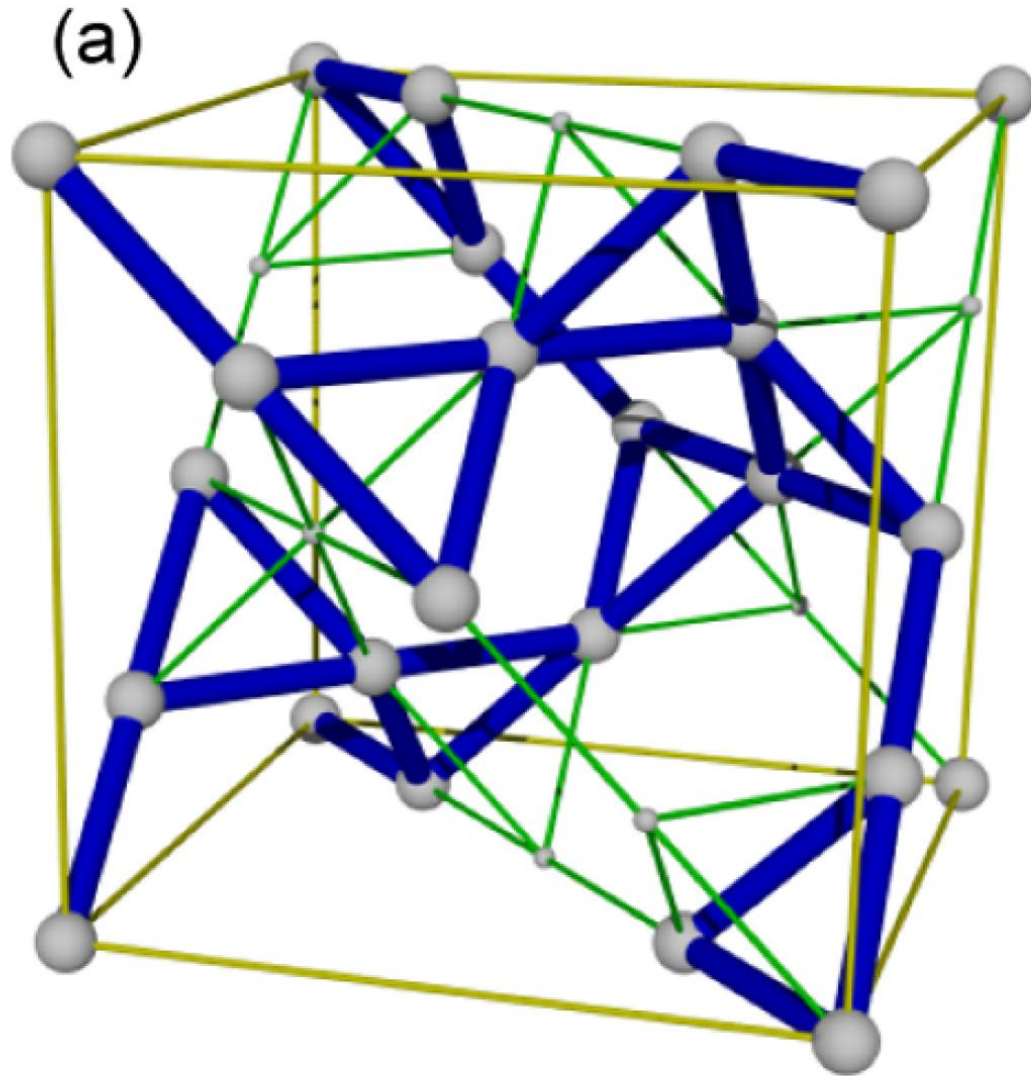


(d)
 $P4_332$



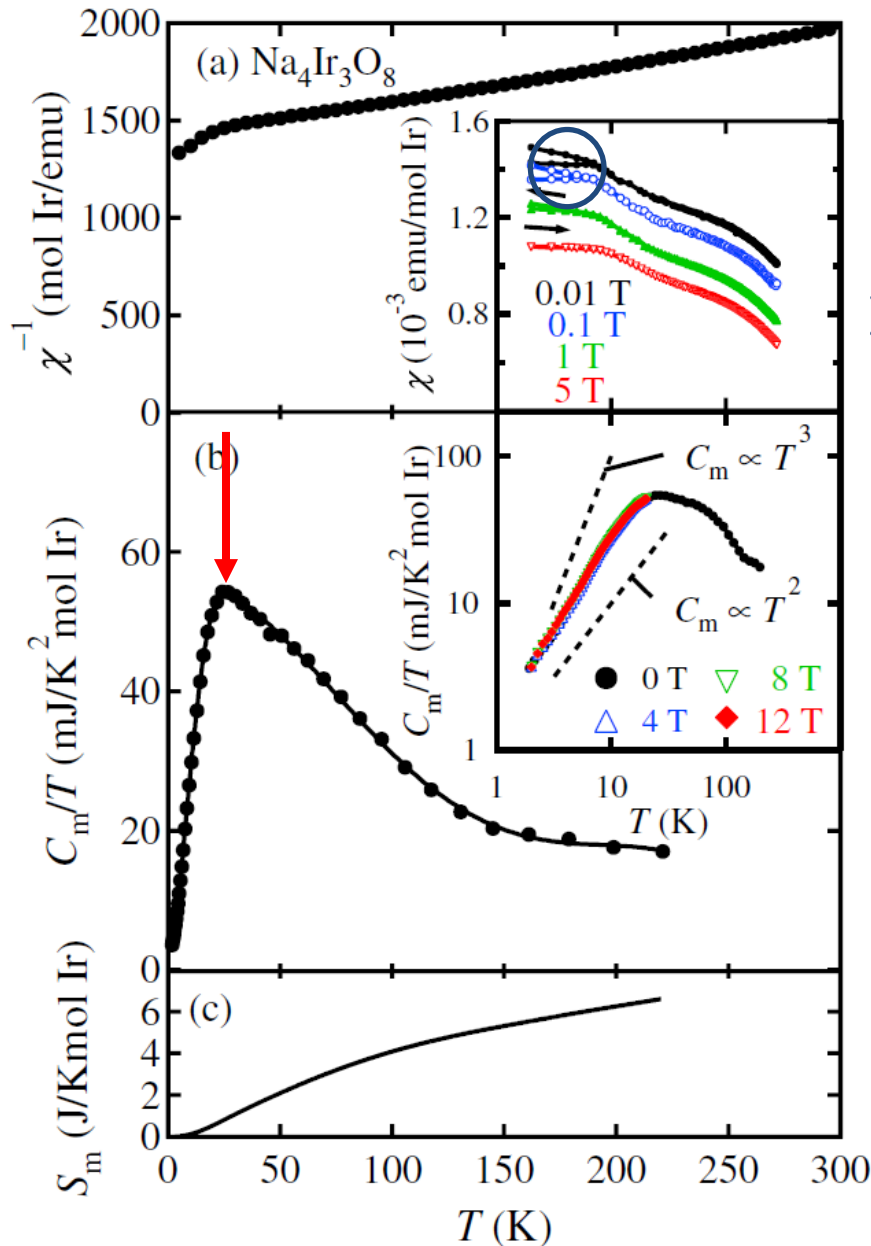
Two chiralities

Hyperkagome structure: corner sharing



Ir⁴⁺ only

Thermodynamic measurements: gapless spin liquid



$\Theta_{CW} \sim 500 - 600$ K

HTSE: $J \sim 300$ K

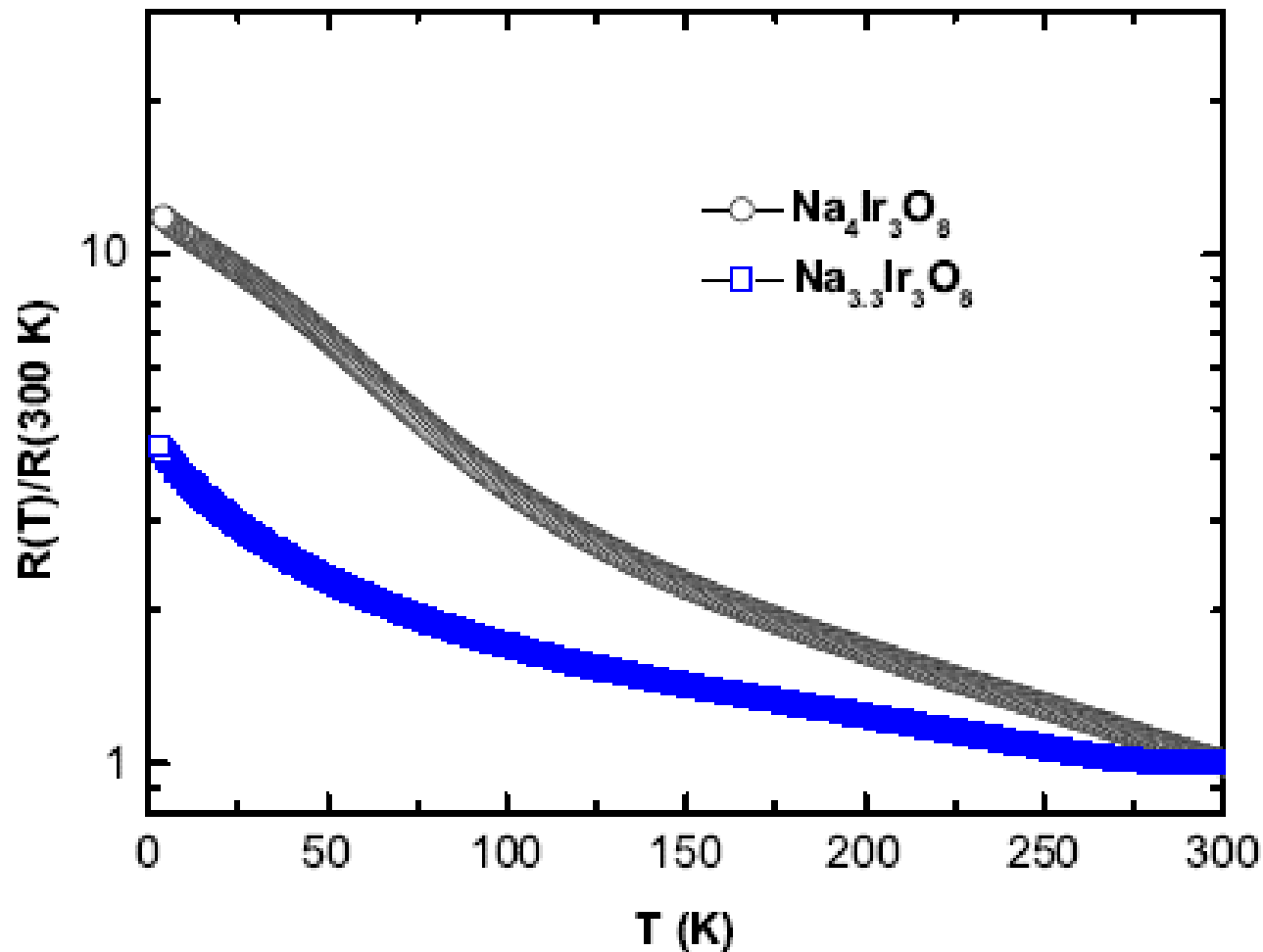
1% impurities ($J=1/2$)?

- ✓ χ levels off
- ✓ Low- T $C \sim T^{2.4}$

No gap
 Max $C/T \sim 24$ K

Y. Okamoto et al, PRL 98, 2007
 R. Singh, J.Oitmaa, PRB 2012

Doping is possible -> even more excitement

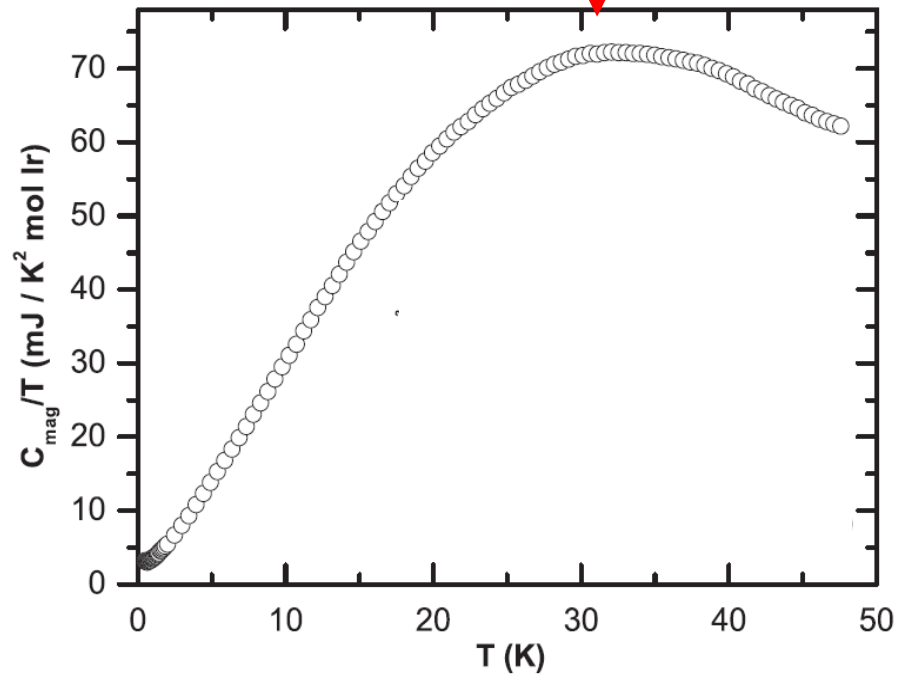


Balodhi et al. ArXiv 2014

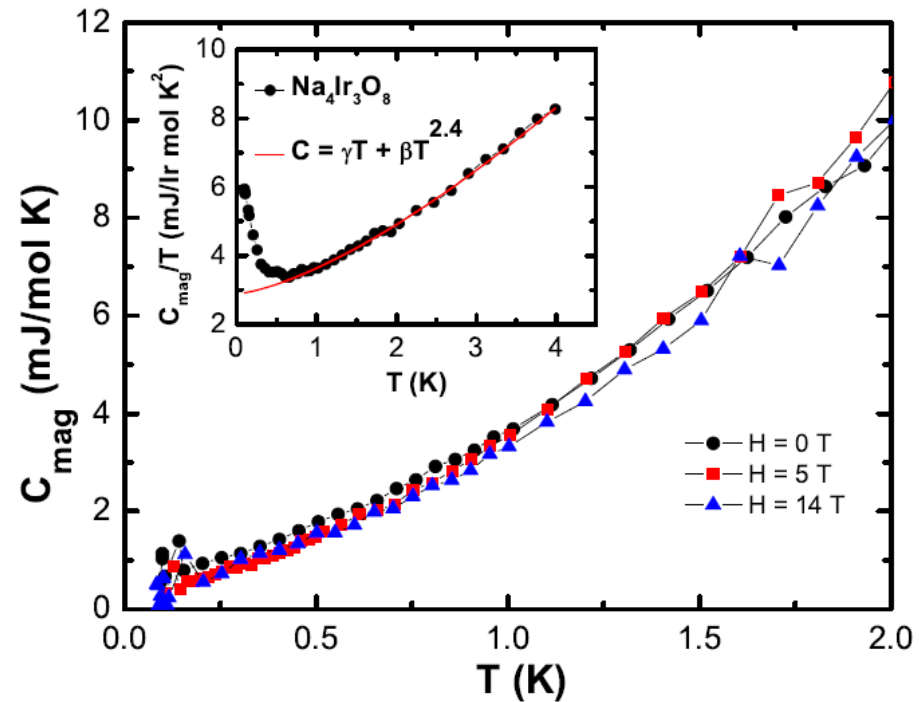
See also Takayama et al, Nature (2014)

Low-T specific heat: extension to low-T

Max



Y. Singh et al. PRB 2014



Balodhi et al. ArXiv 2014

Models (spin liquid)

✓ Fermionic approach: spinon Fermi Surface

Max C/T : crossover from Z_2 to $U(1)$ SL

Paired spinons with line nodes in the gap

Susceptibility Pauli-like: mixing singlet and triplet state

✓ Mottness

Proximity to a metal-insulator transition

Quantum criticality

Susceptibility and specific heat: right trend

Wilson ratio: little variation of specific heat, large variation of susceptibility

✓ Valence Bond Crystal: 72 sites

Gap of the order of J

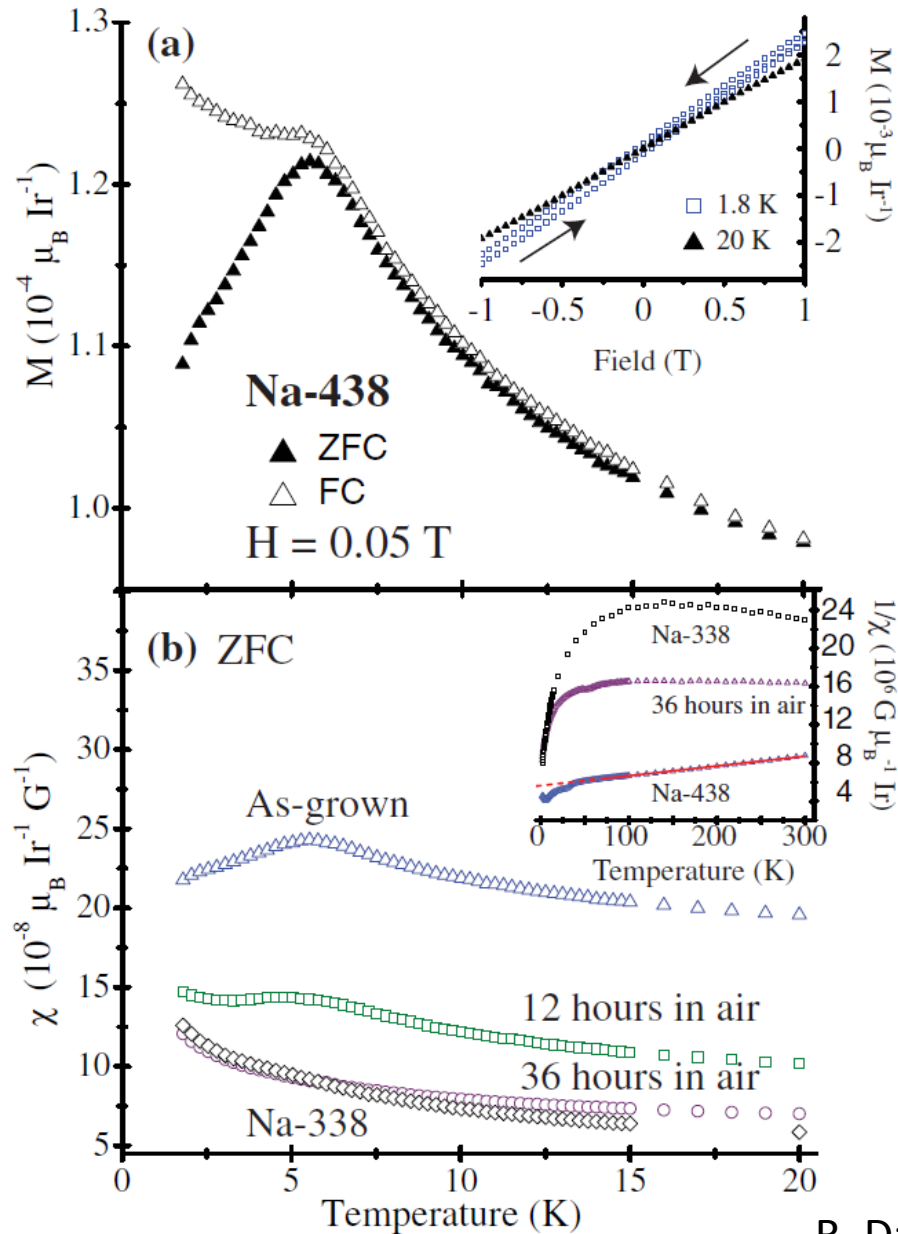
Y. Zhou et al. PRL (2008)

D. Podolsky et al., PRL (2009); PRB (2011)

E. Bergholtz et al. PRL (2010)

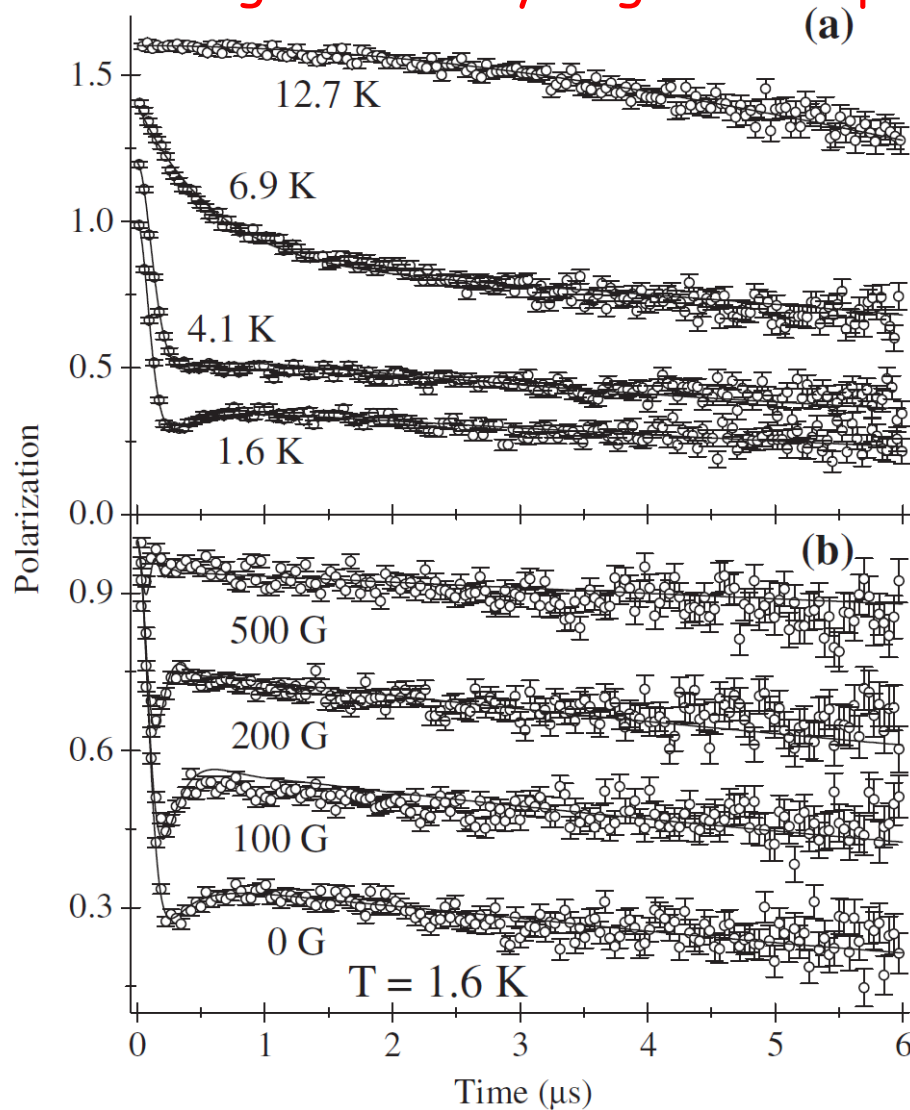
...

Degradation of sample with time!!



μ SR: freezing CDFO

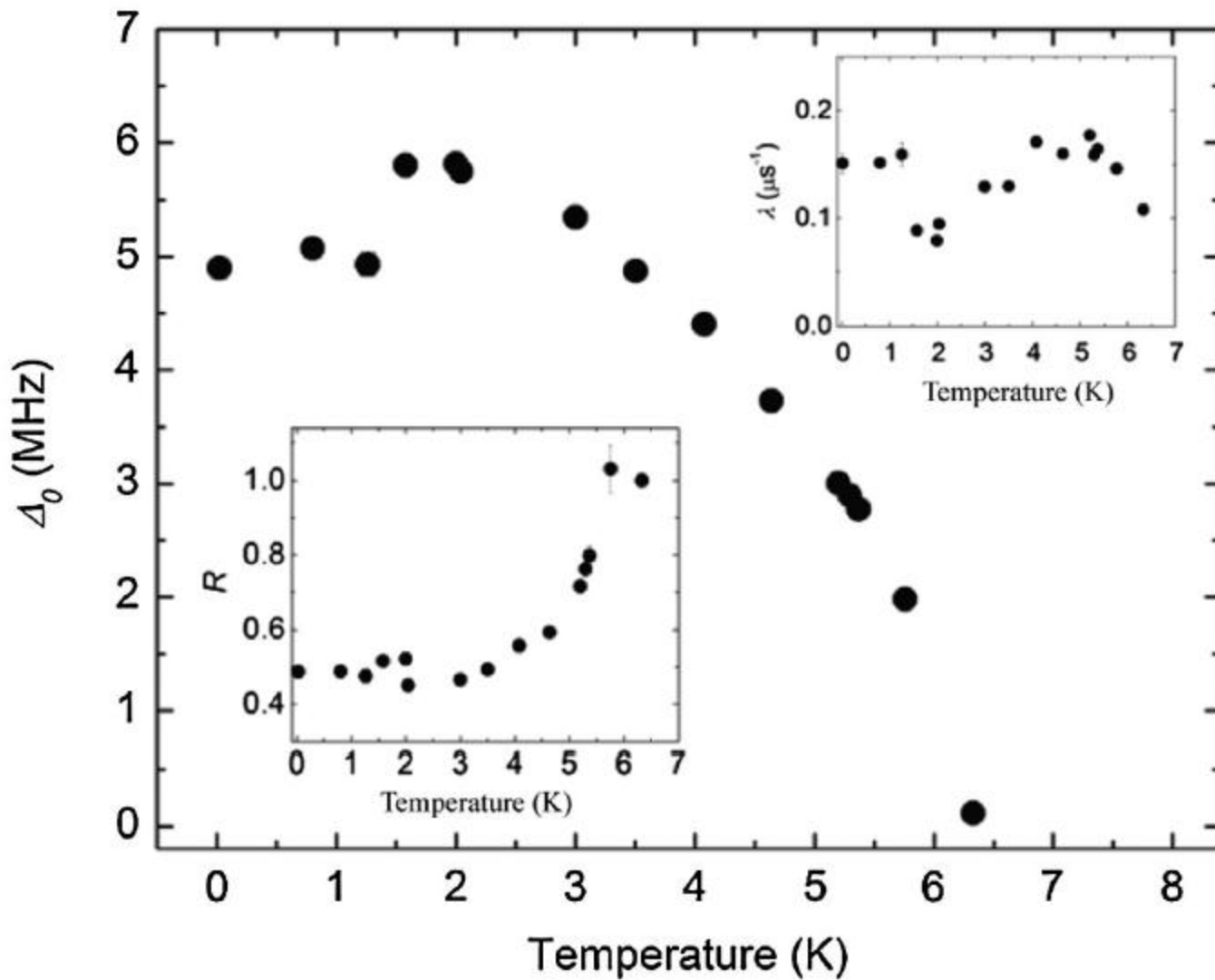
CDFO = configurationnaly degenerate phases with fluctuating order



Quasistatic magnetic field distribution dressed with slow fluctuations

μ SR: freezing: order parameter and relaxation

Order parameter



Our study: ^{17}O and ^{23}Na NMR

Université Paris-Sud
F. Bert



A. Shockley



J.C. Orain

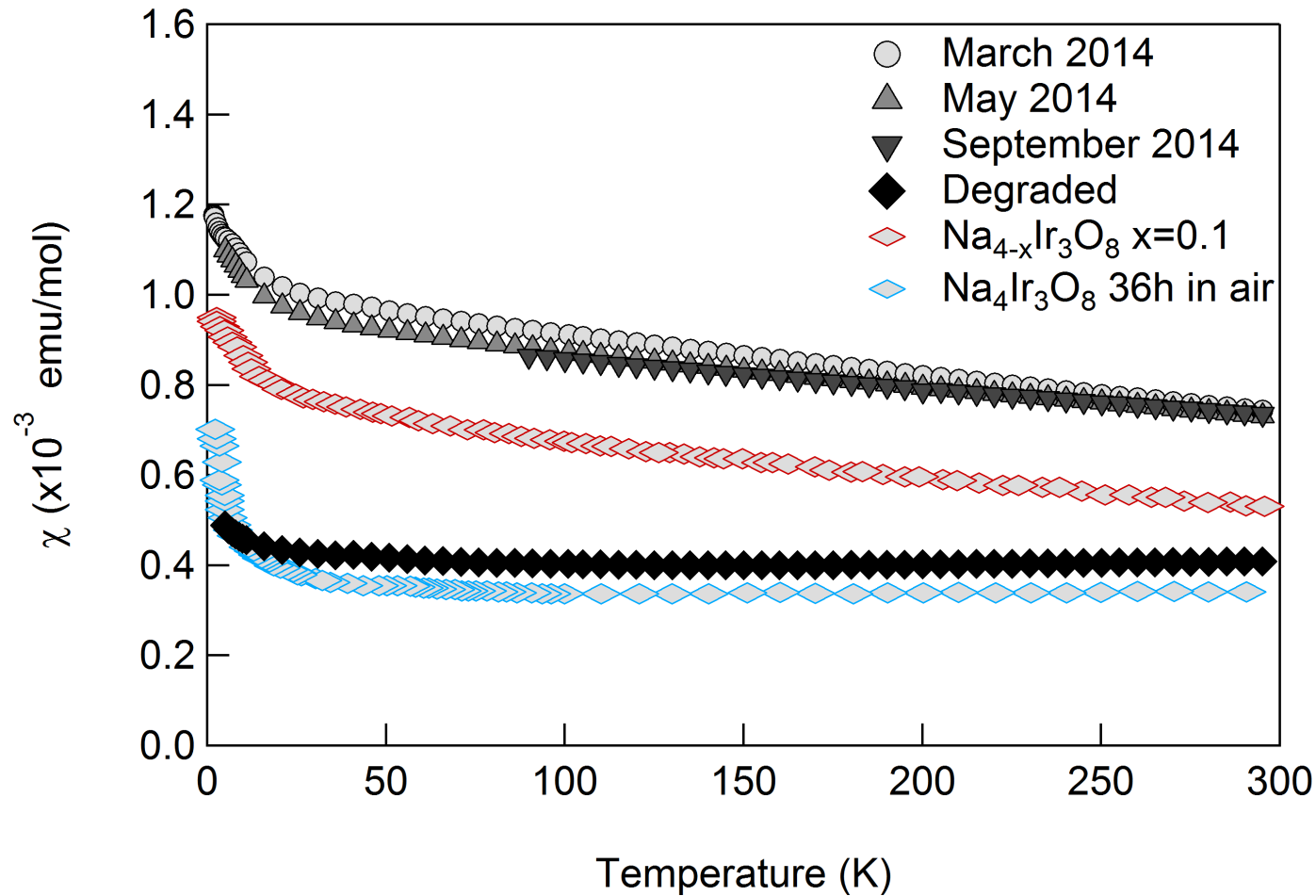
U. Nagoya (Japan), ISSP
Y. Okamoto



université
PARIS-SACLAY

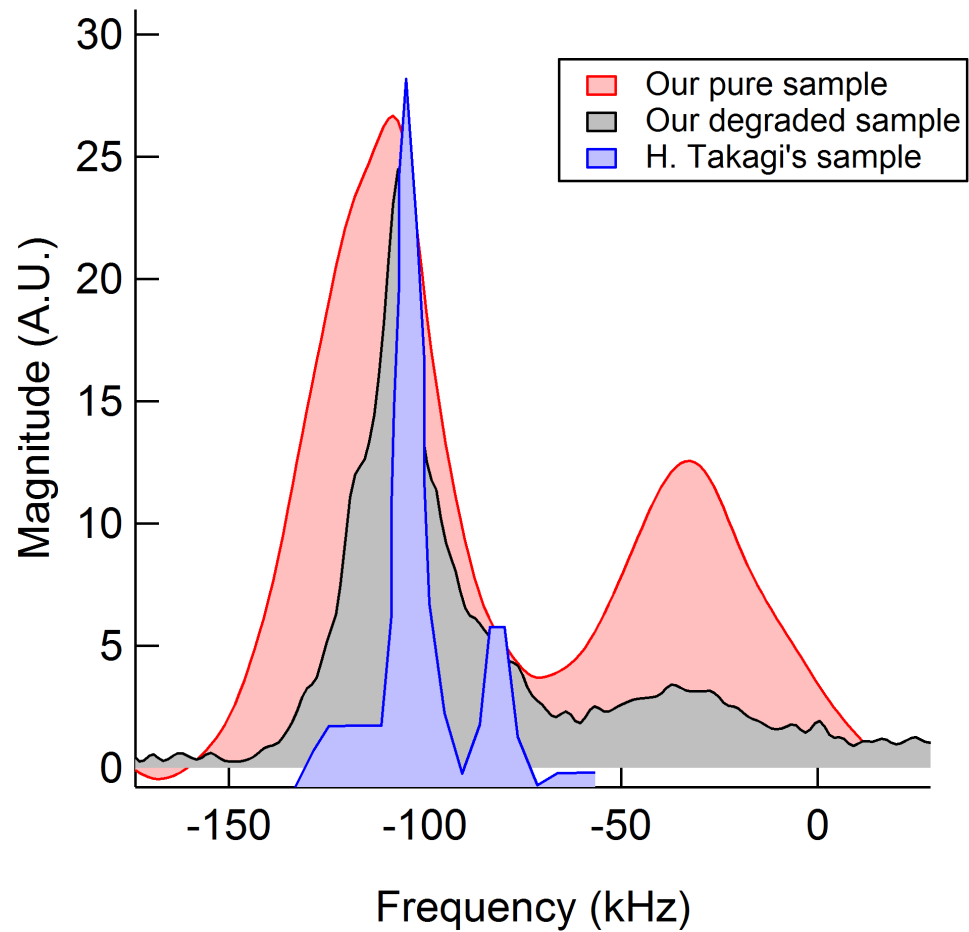


No degradation

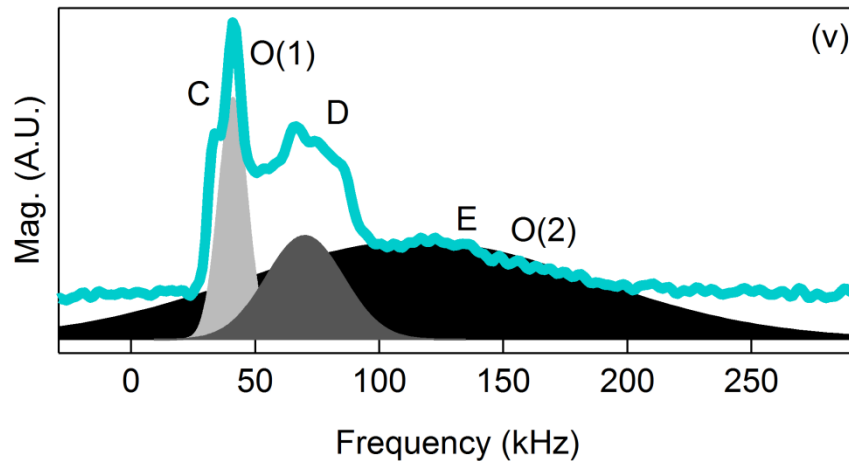
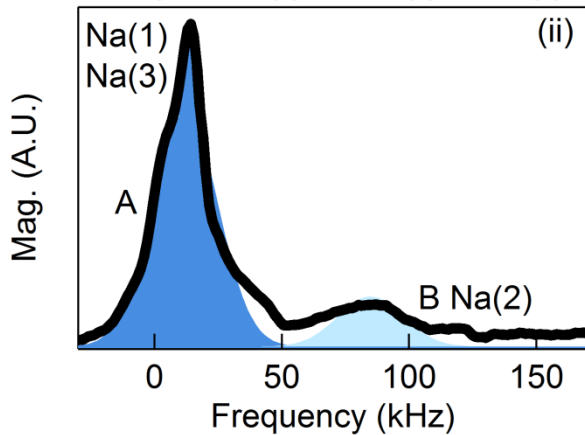
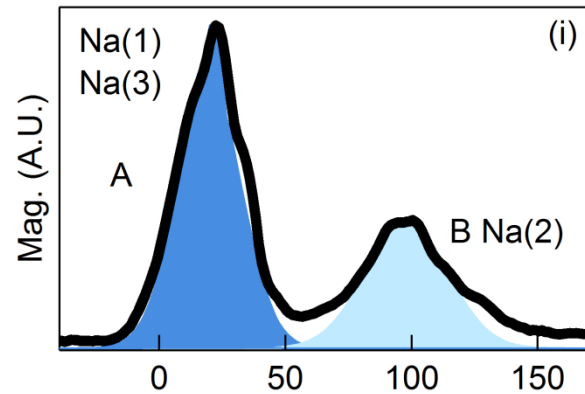


↙ Balodhi et al,
↘ Arxiv 2014

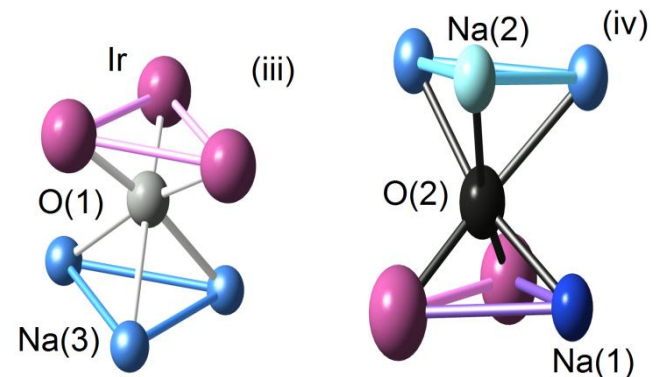
Typical degradation from ^{23}Na NMR



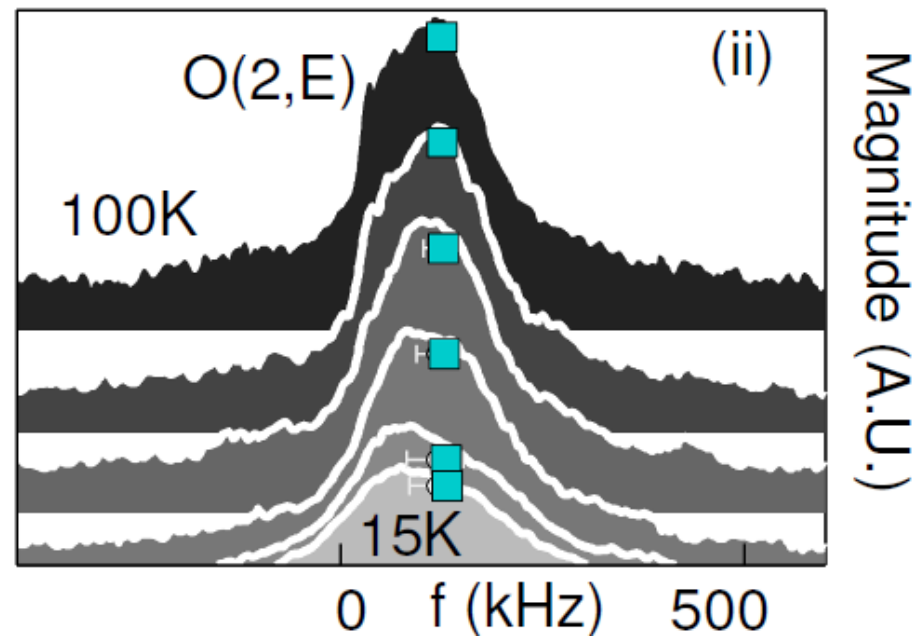
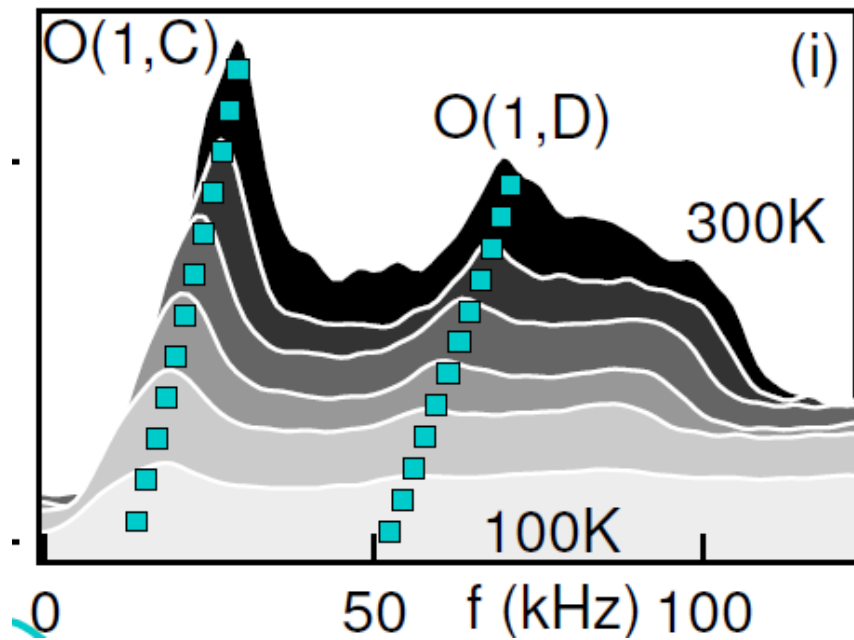
^{17}O and ^{23}Na NMR: site assignment



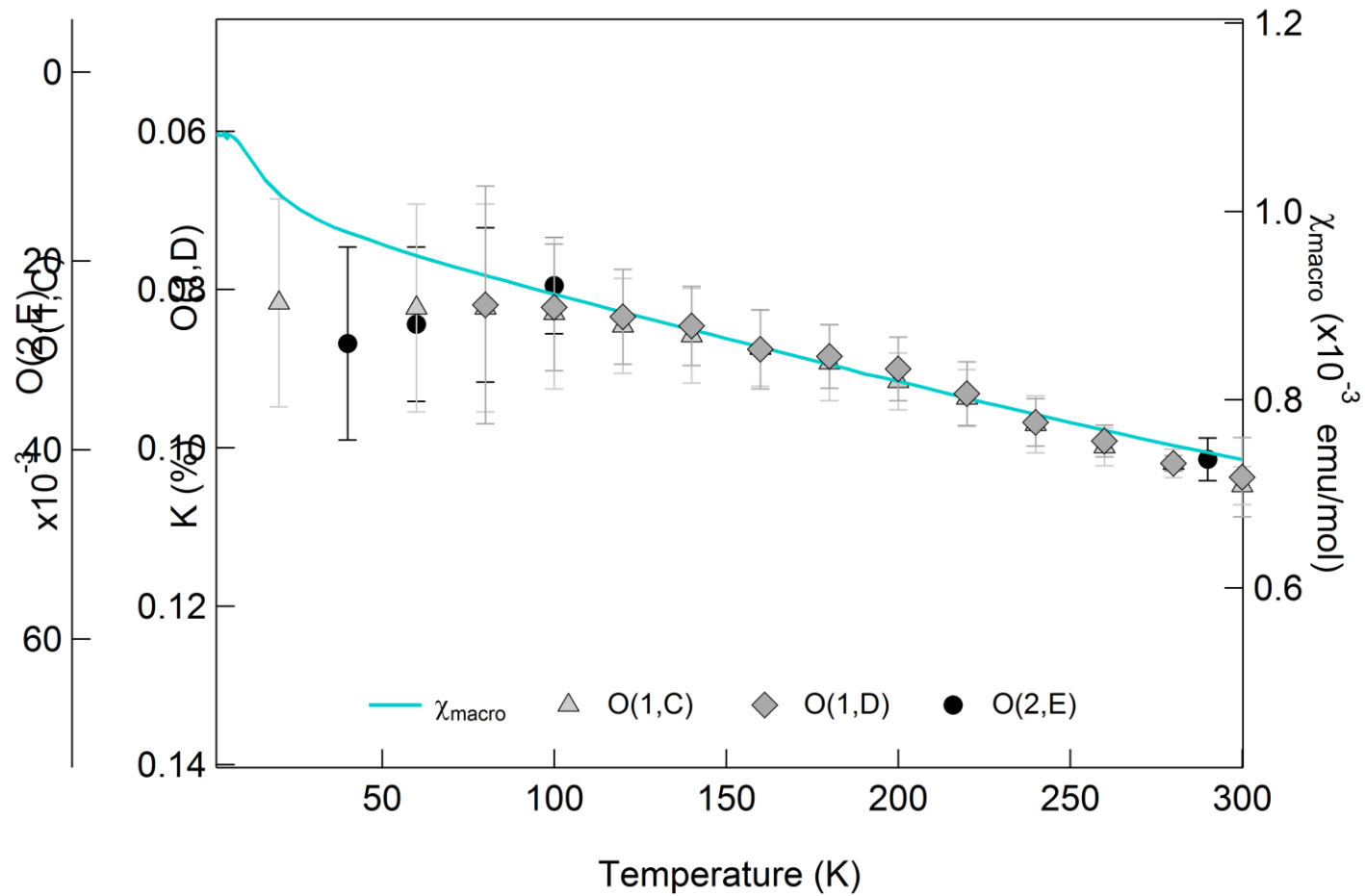
75% occupation of Na(2,3) sites



$^{17}\text{O}(1)$ NMR: shift

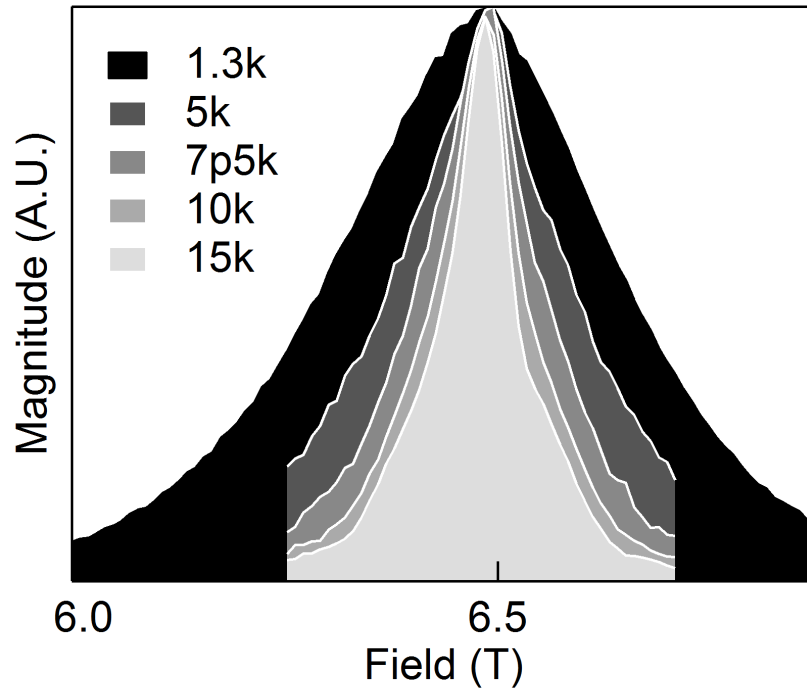


^{17}O NMR: shift



Susceptibility levels off: no gap

Low temperatures: 17O NMR

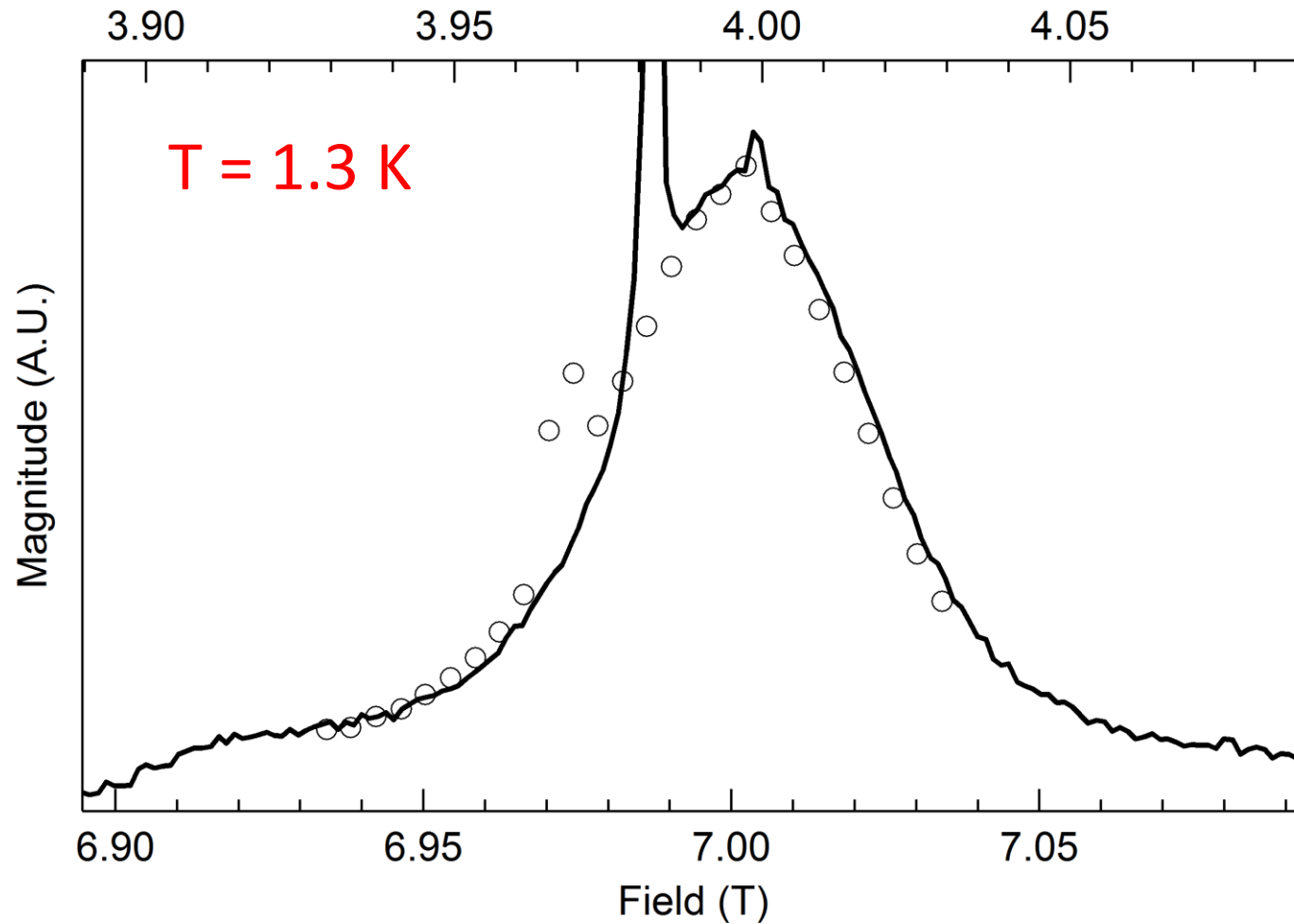


Line
broadening

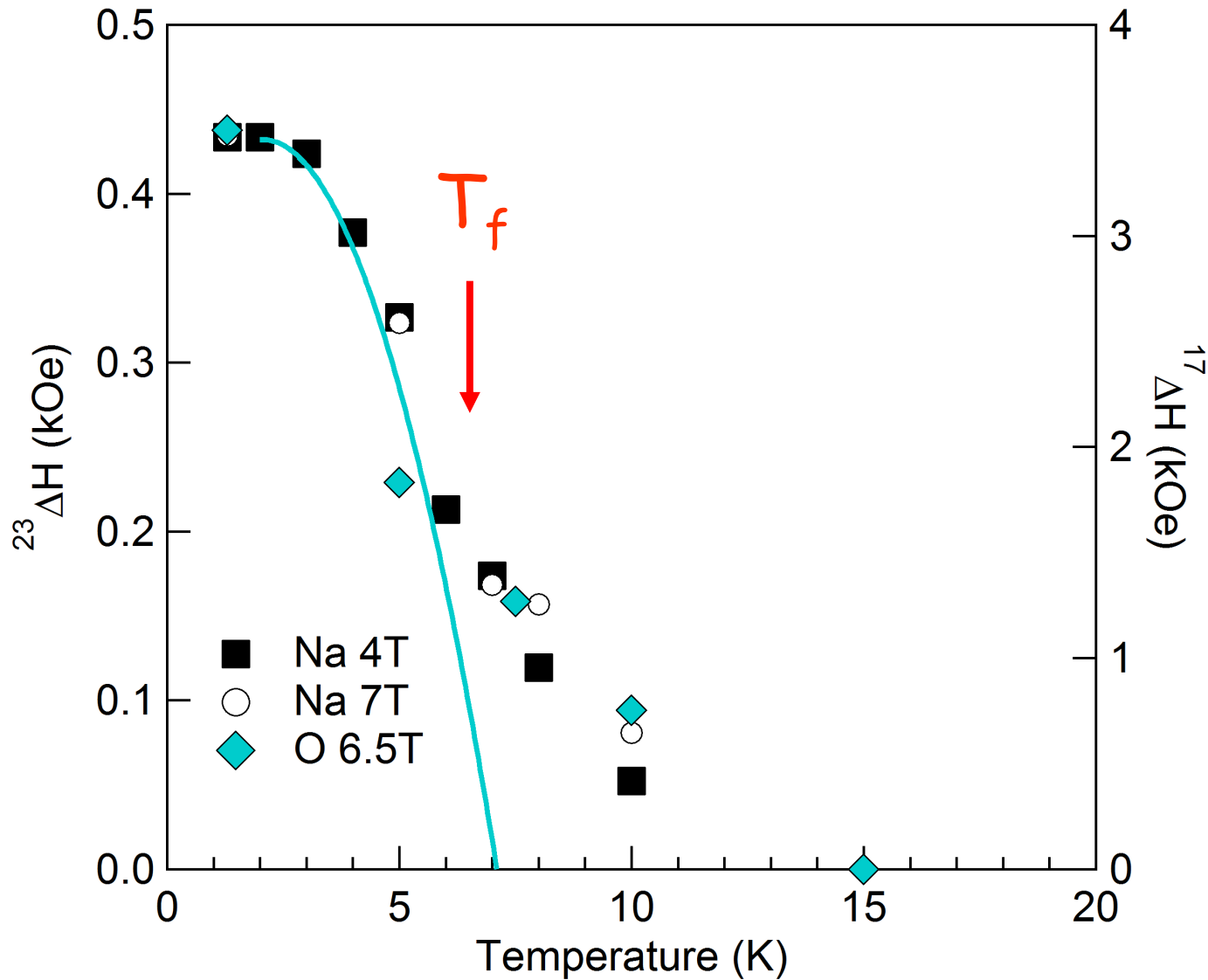
$T_f \sim 7.5$ K

Width saturates
at low T

Low temperatures: width independent of field



Low temperatures



Bulk freezing

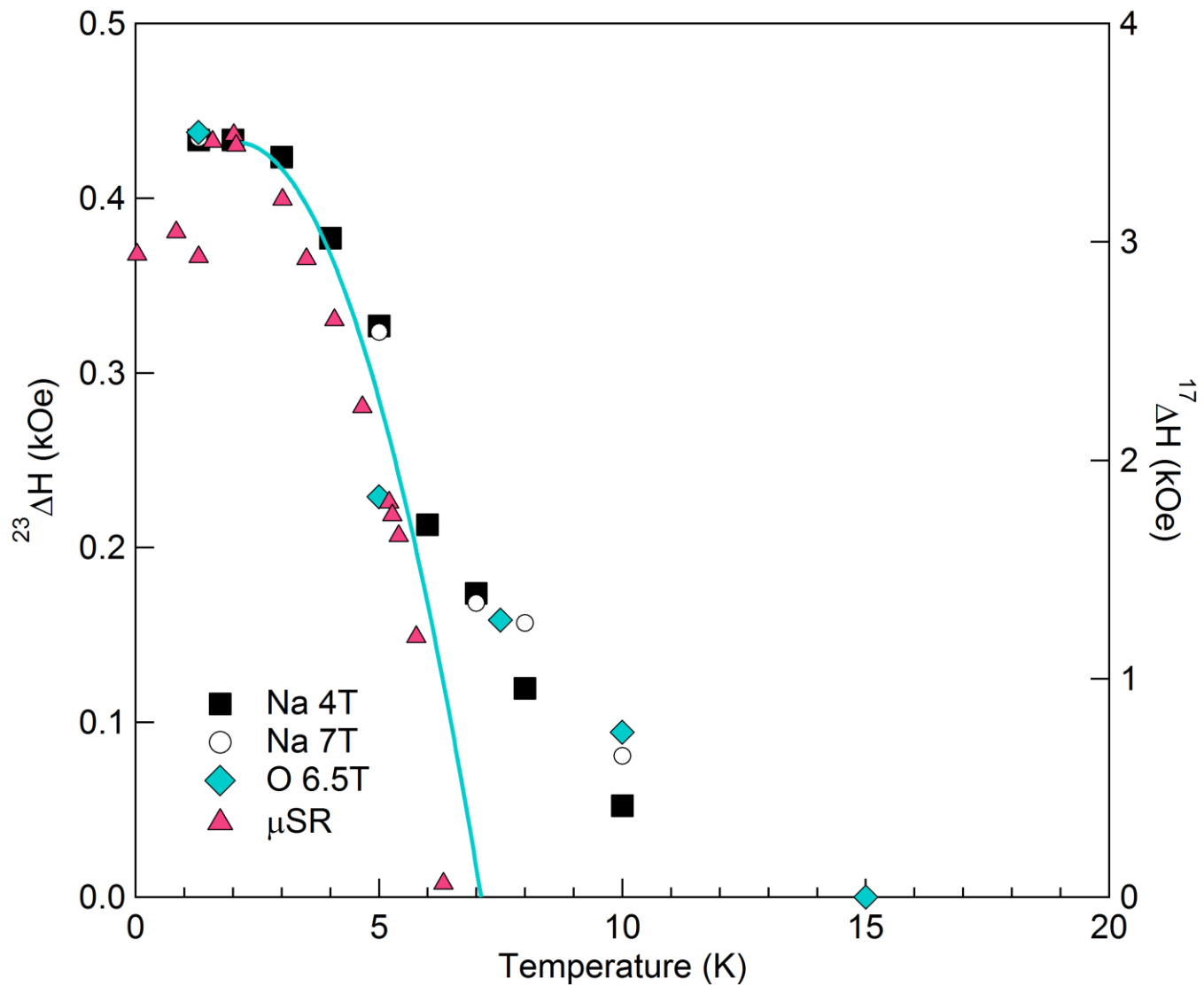
- Static
- Disordered

$T_f \sim 7.5$ K

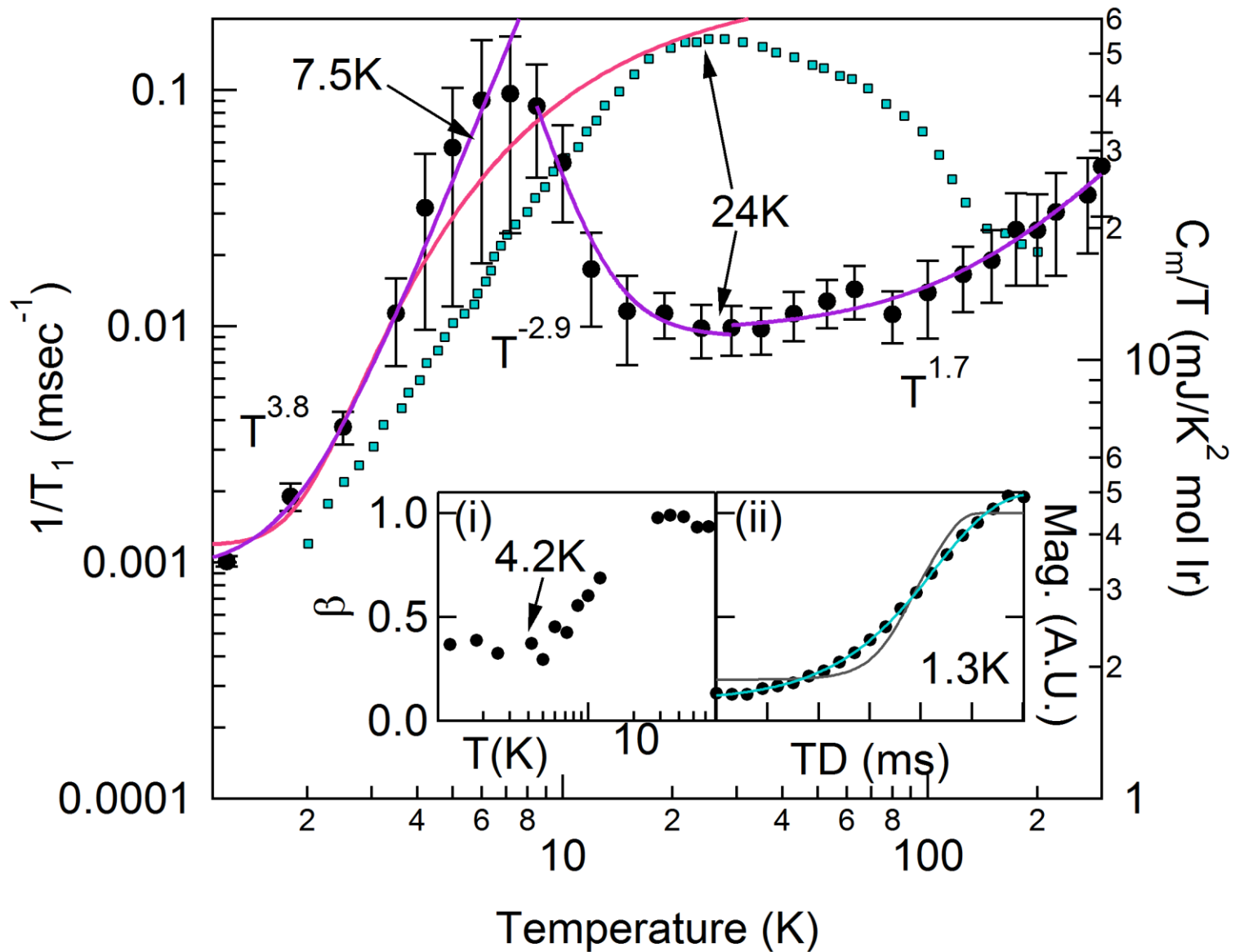
(Kink of susceptibility)

$\mu \sim 0.27(4) \mu_B$

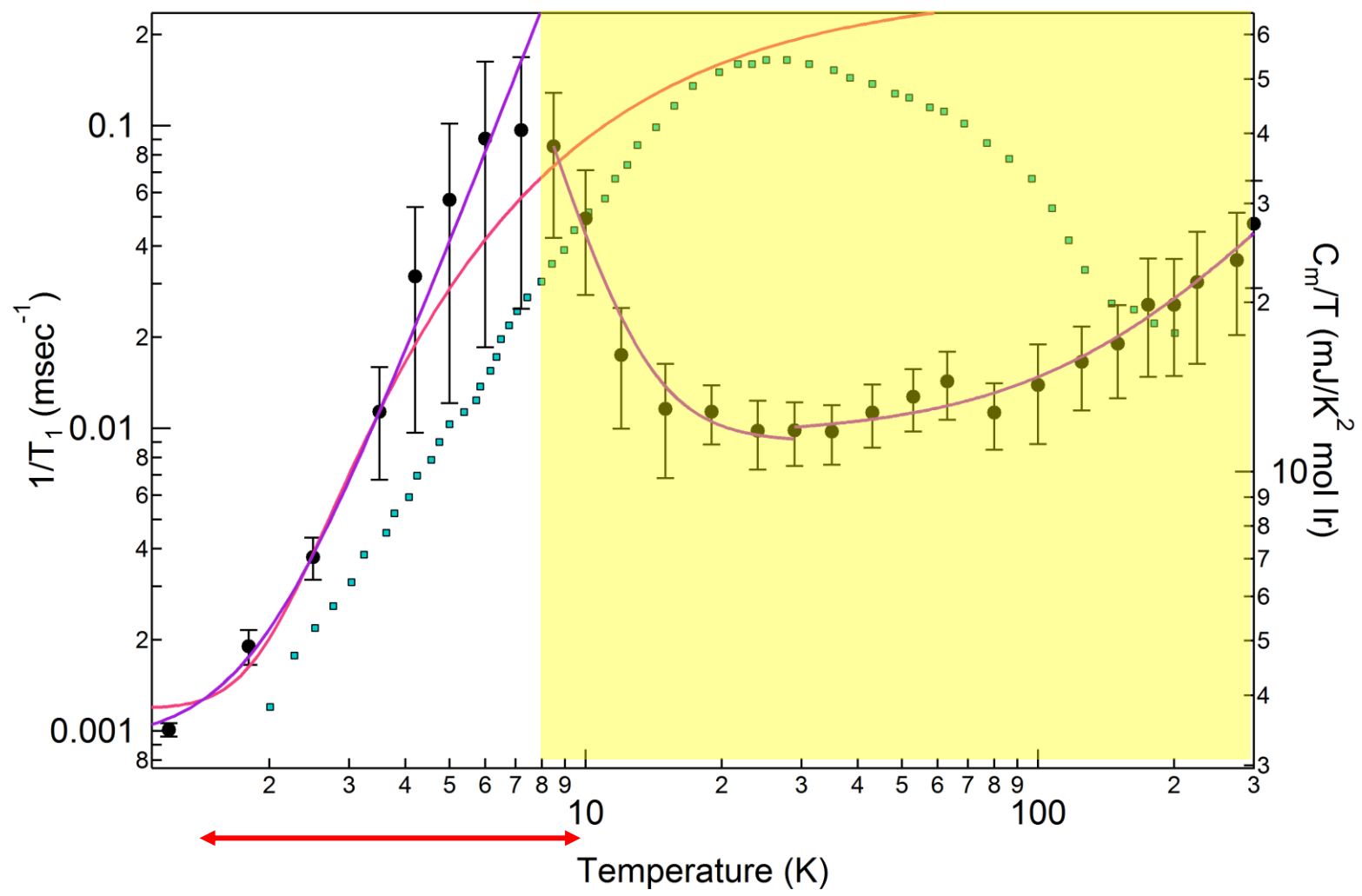
Low temperatures: NMR vs μ SR



Relaxation

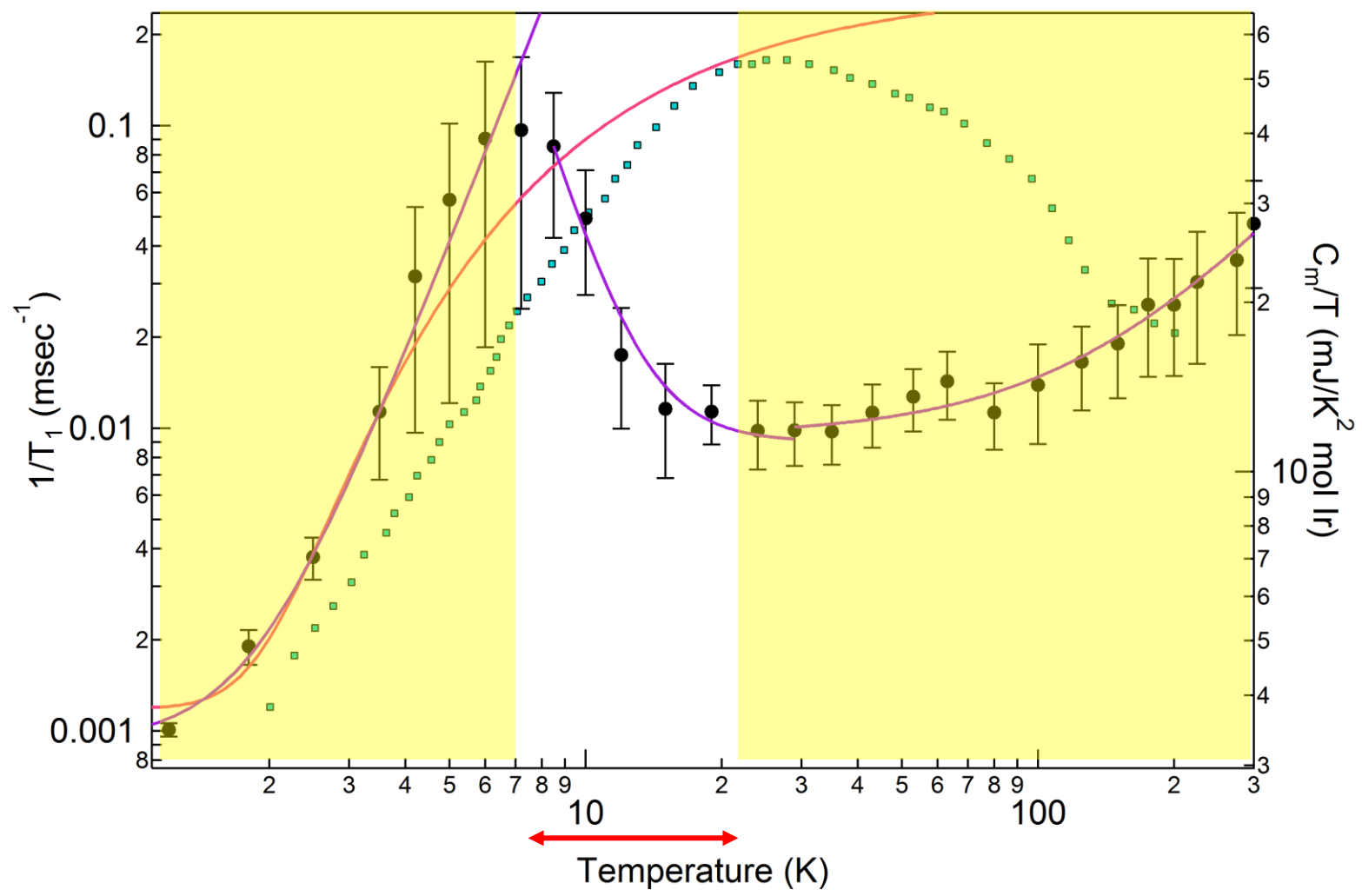


3 T-ranges



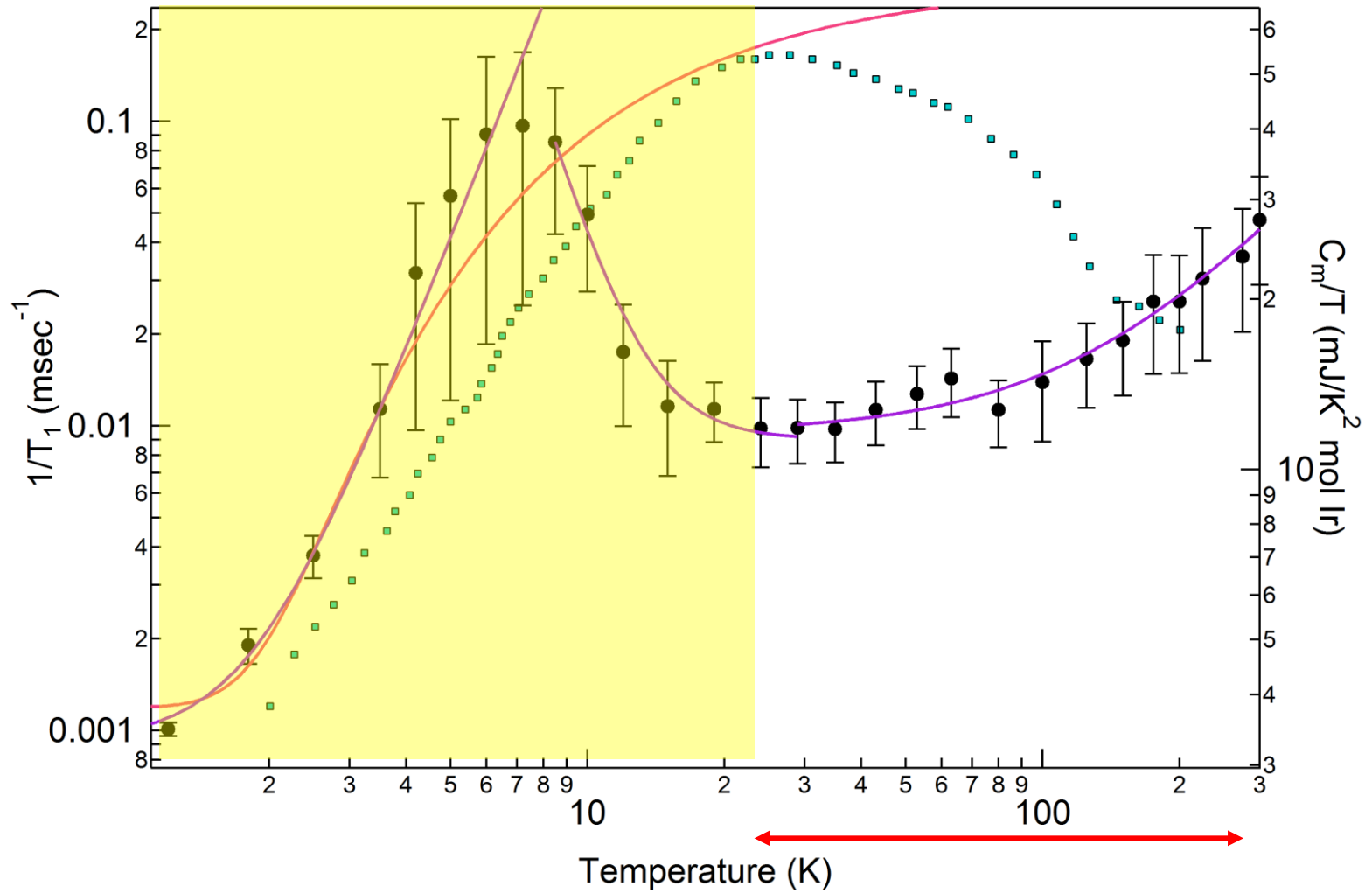
Frozen phase
Slowing down of dynamics
 C typical of frozen phase

3 T-ranges



Critical fluctuations
Crossover typical of hyperkagome

3 T-ranges



$$T_1 \sim T^{1.7}$$

$$\chi \sim \text{cte}$$

Back to models (spin liquid)

✓ Fermionic approach: spinon Fermi Surface

Max C/T : crossover from Z_2 to $U(1)$ SL

Paired spinons with line nodes in the gap: **contradiction with T_1 ?**

Susceptibility Pauli-like: mixing singlet and triplet state

\sim Korringa law $T_1 T K^2 \sim \text{cte}$

✓ Mottness

Proximity to a metal-insulator transition

Quantum criticality

Susceptibility and specific heat: right trend

Wilson ratio: little variation of specific heat, large variation of susceptibility

T_1 could be a test for models

✓ Valence Bond ~~Crystal~~ Glass

Downward shift of the transition?

C typical of a valence bond glass?

Summary (hyperkagome)

✓ Low-T state dominated by disorder: **static**

$C/T \sim \gamma + b T^{1.4}$ (not a spinglass)

$1/T_1 \sim T^4$

Valence bond crystal \rightarrow **valence bond glass?**

Downward shift of the transition $J \rightarrow T_f$

✓ **Intermediate T-region**

If crossover region, not towards a gapped regime

Or

Broad critical regime (disorder)

✓ $2 T_f = J/20 < T < J/3 ?$: **intrinsic spin liq**
properties

Max of $C/T \sim 3T_f$

$T_1 \sim T^{1.7}$

χ constante

Summary

- ✓ Spin $\frac{1}{2}$ \oplus Corner sharing geometry \oplus frustration
- ✓ Equilateral triangles are a must!
- ✓ More work: track the deviations to the Heisenberg Hamiltonian $\sim J/20 - J/10$
- ✓ Disorder plays a role at low T (only)
- ✓ Avenues:
 - control of defects: perturb to reveal
 - Iridates: spin orbit interaction
 - ...

