# The Nature of Voids: theory and simulation

## Seshadri Nadathur

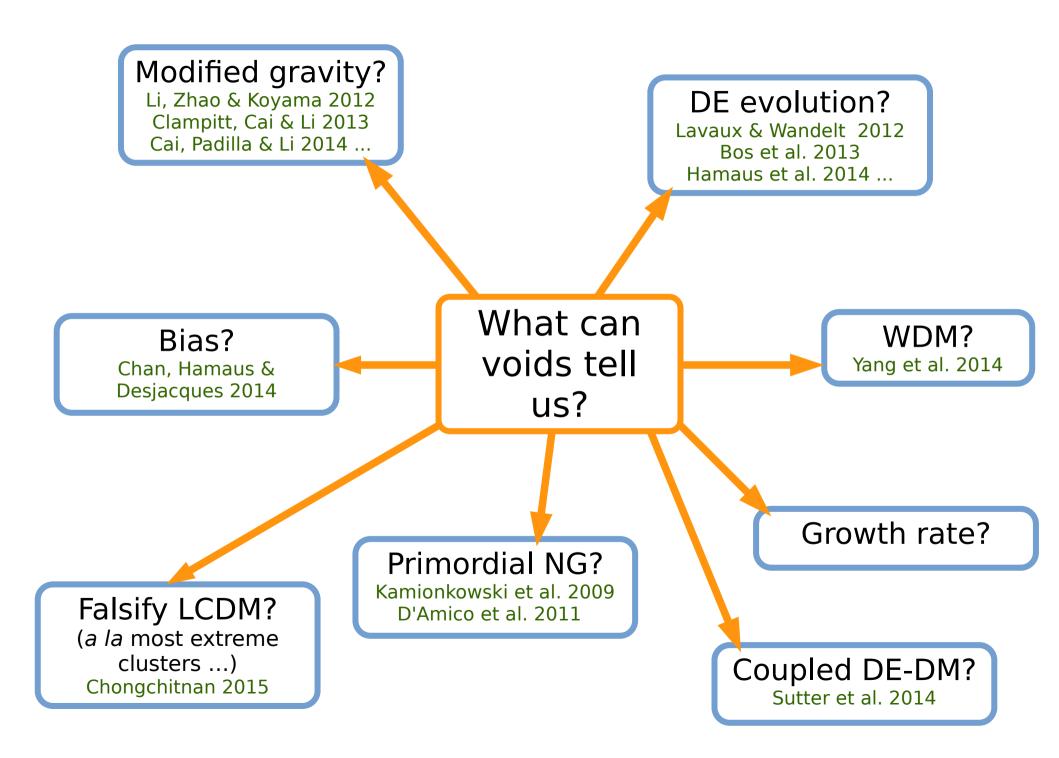
University of Helsinki and Helsinki Institute of Physics

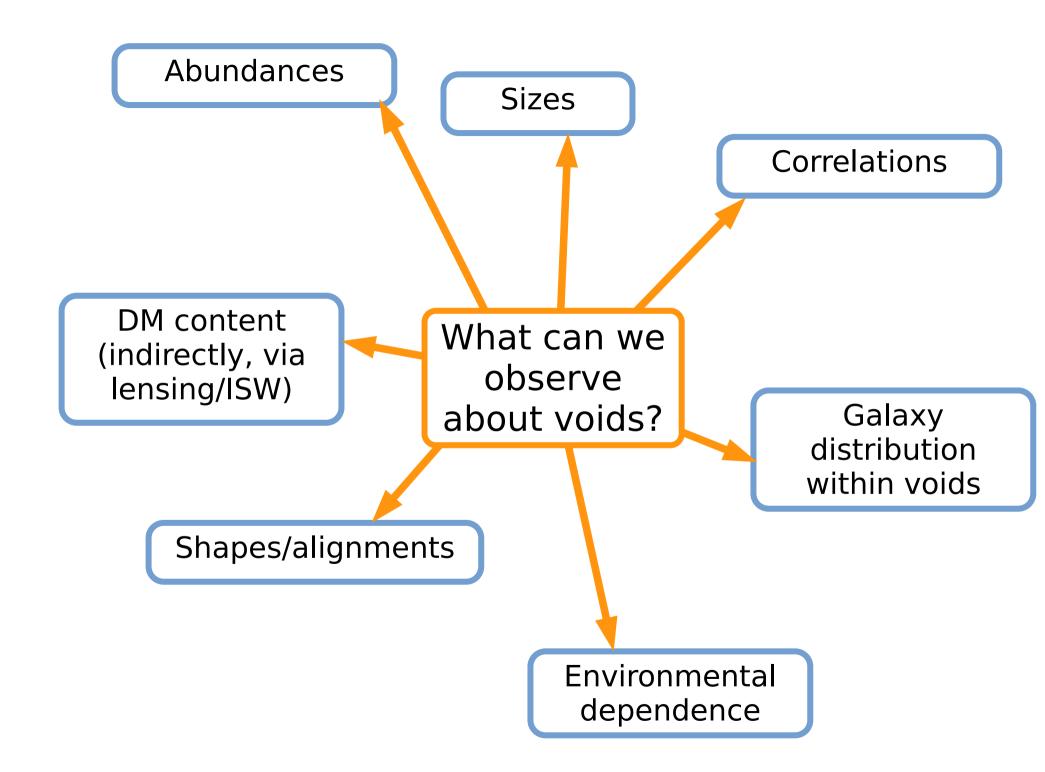




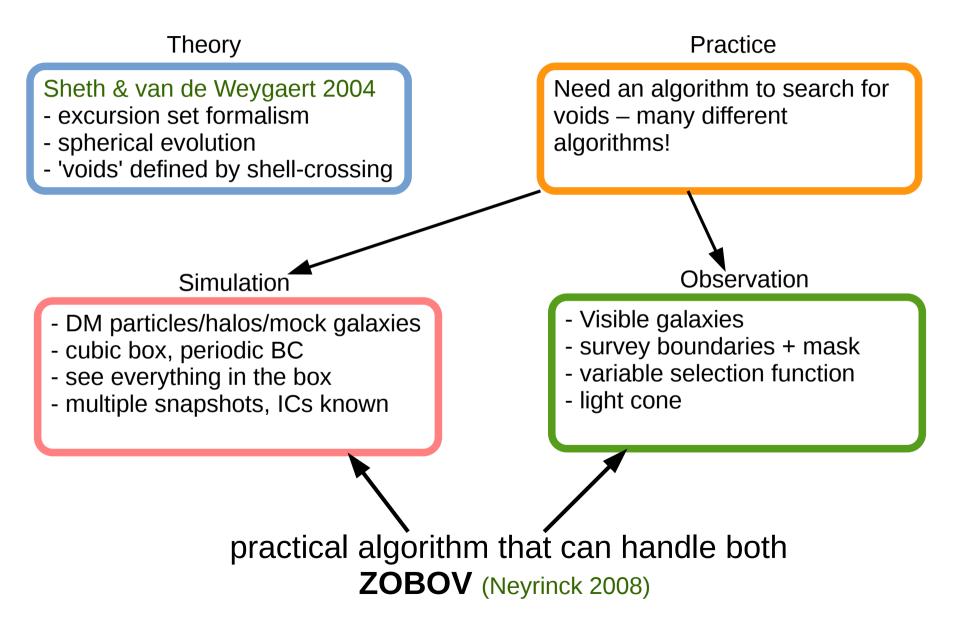
ICTP, 15 May 2015

What can voids tell us?



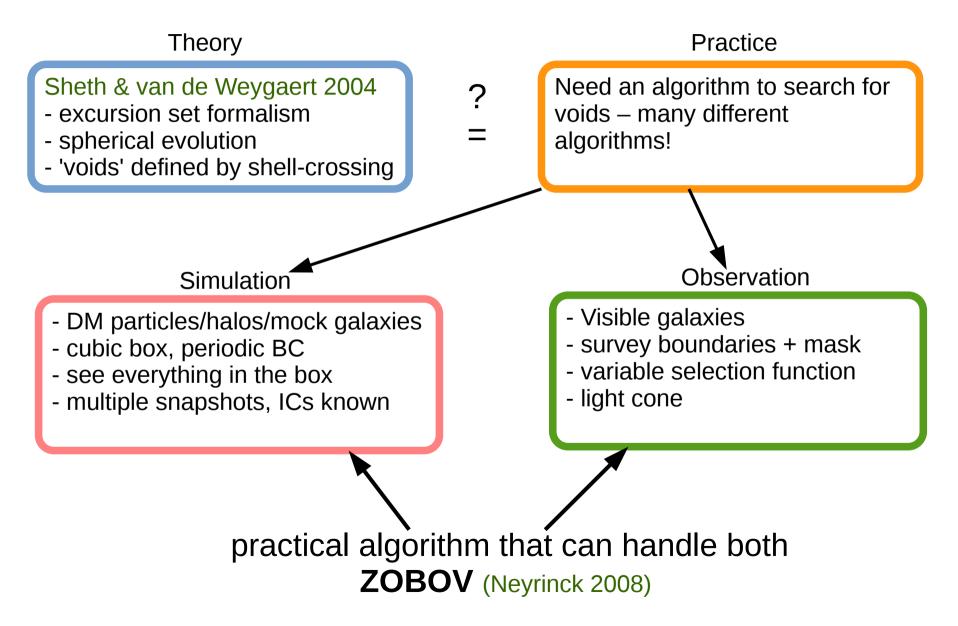


## What is a 'void'?



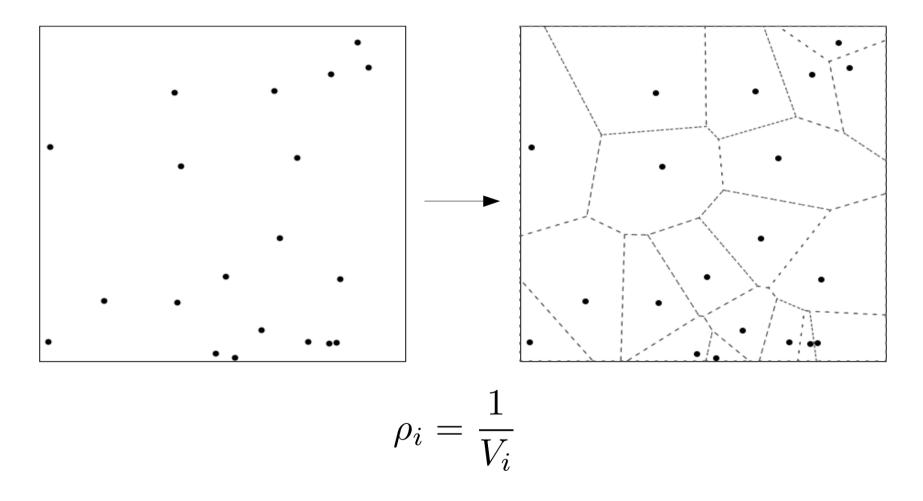
but be careful in applying ZOBOV to survey data! (see Nadathur & Hotchkiss 2014)

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#### ZOBOV uses Voronoi tessellation to reconstruct density



Self-adaptive scaling – more resilient to shot noise

ZOBOV is a watershed algorithm

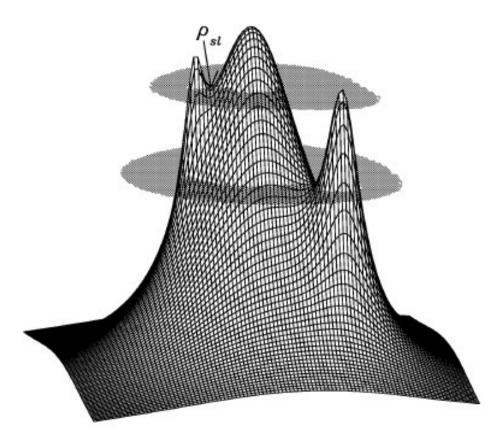


figure from Mark Neyrinck

#### ZOBOV is a watershed algorithm

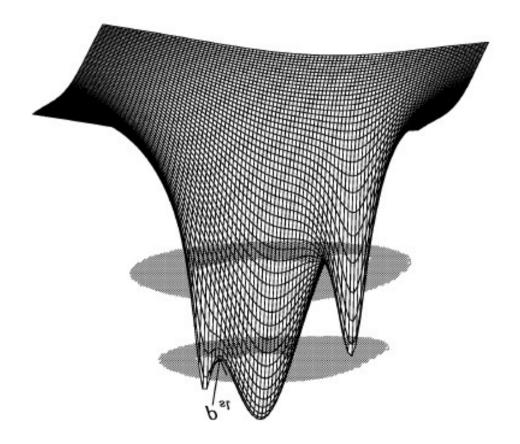


figure from Mark Neyrinck

To identify voids, ZOBOV requires a set of *tracers* of the DM density field in a simulation

DM particles as tracers – ok, but *unobservable* (we see galaxies)

Strategy 1

Use random subset of DM particles in simulation – match  $\overline{n}$  to mean galaxy density in surveys

Strategy 2

Use mock galaxies – HOD/SHAM/semi-analytic – match mock clustering properties to surveys

Strategy 2 appears more realistic, but let's start with Strategy 1.

### Theoretical model of voids: main features

- Shell-crossing occurs when (for all voids)

$$\Delta = \frac{\rho(\langle R_v)}{\overline{\rho}} - 1 \simeq -0.8$$

– Lin. extrapolated  $\Delta_{\rm lin} = \delta_{\rm v} \simeq -2.7$  – Void distribution

$$\frac{dn}{dR_v} = \frac{f(\nu)}{V(R_L)} \frac{d\nu}{dR_L} \Big|_{R_L = 0.58R_v} \quad ; \ \nu \equiv \frac{\delta_v^2}{\sigma^2}$$

– Smaller voids - deeper density minima

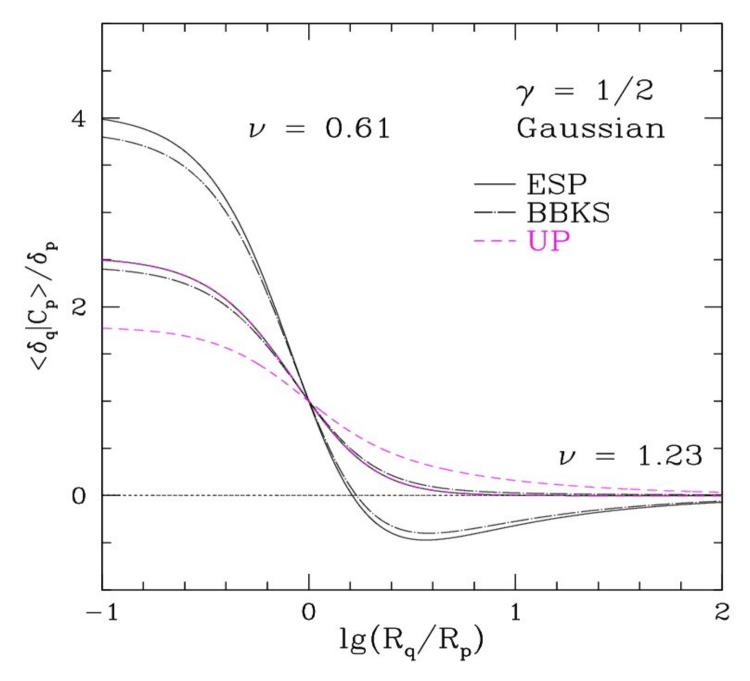


figure courtesy Elena Massara & Ravi Sheth

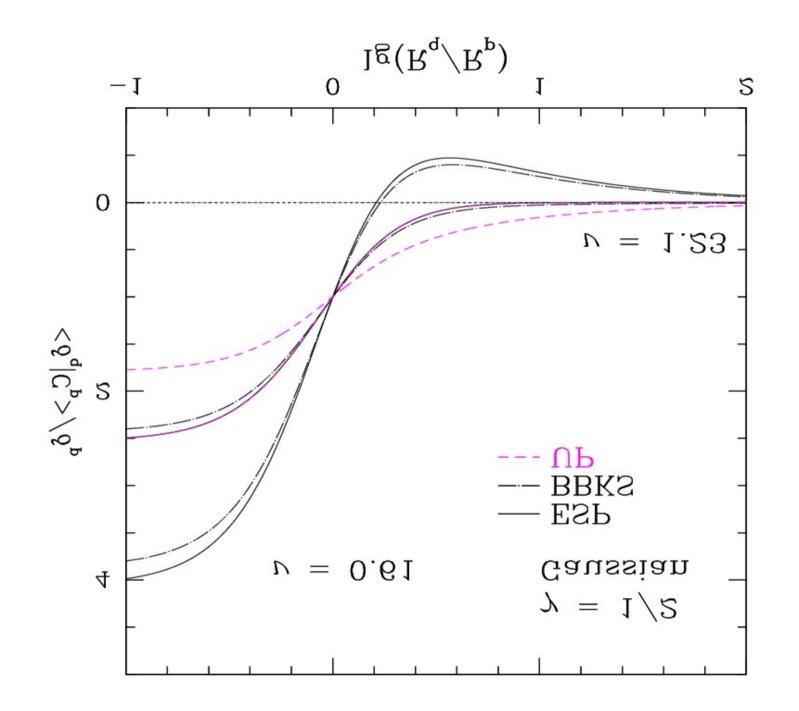
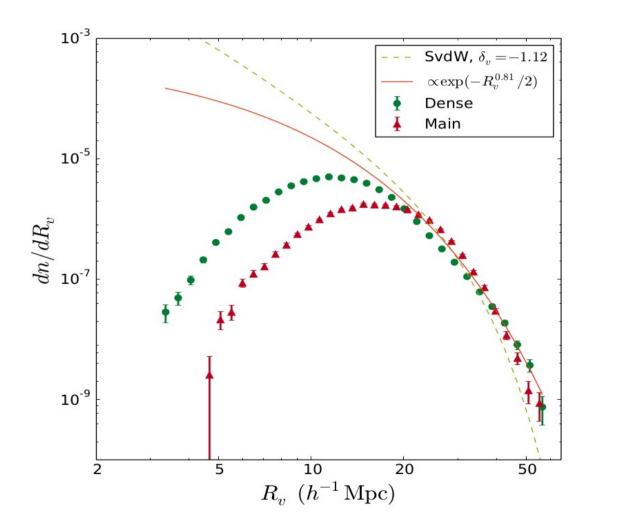
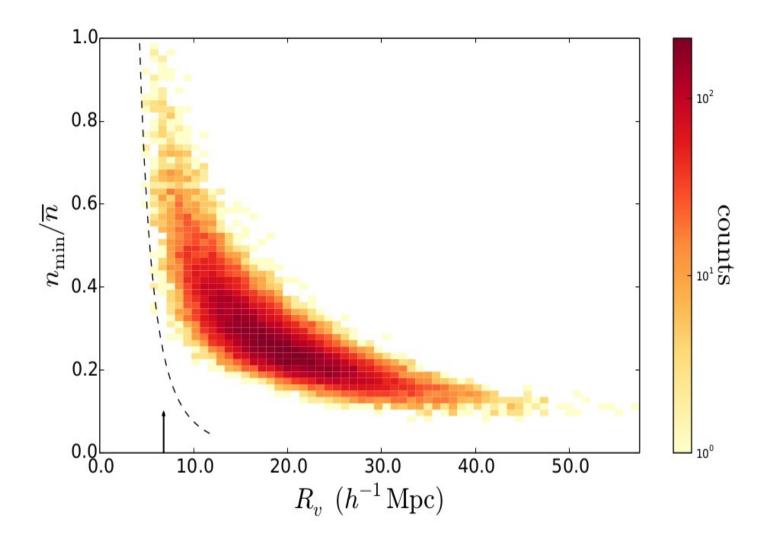


figure courtesy Elena Massara & Ravi Sheth

We already know void distribution in simulations doesn't fit well ...

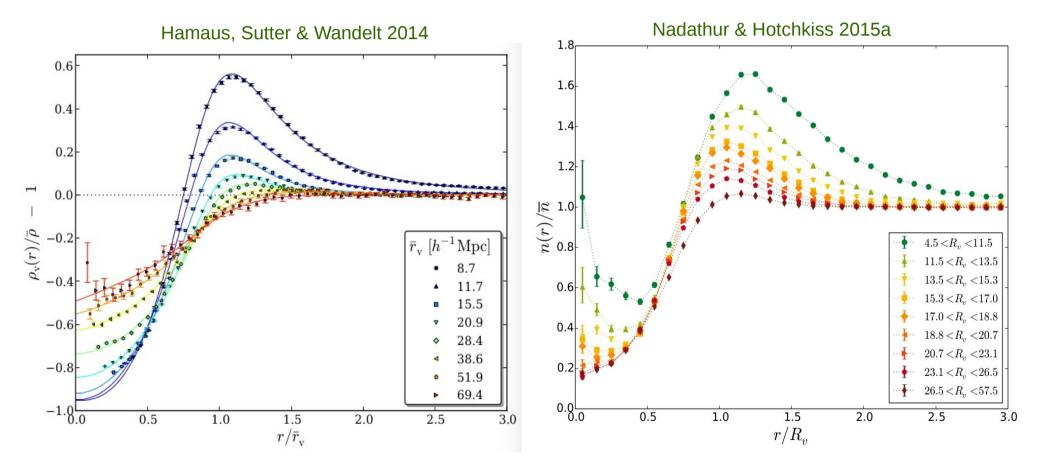


So what about other features?



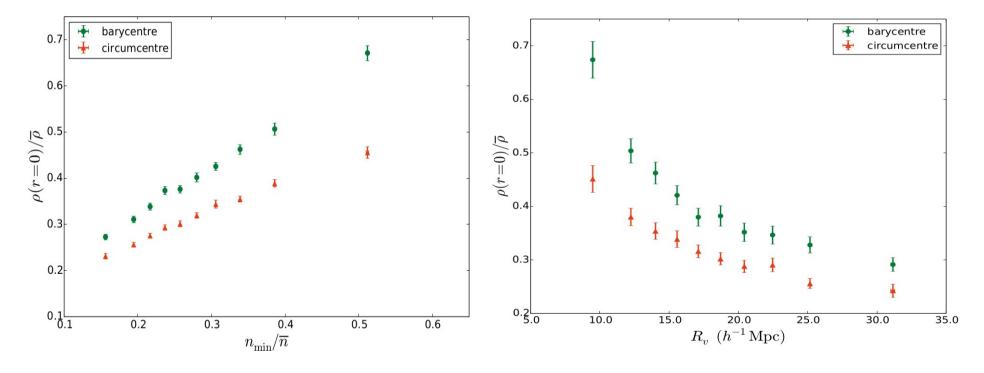
Larger voids are deeper – generic feature of ZOBOV (and all watershed void finders!)

#### 'Universal' density profile?



*We don't agree. (But our result is consistent with watershed principles)* 

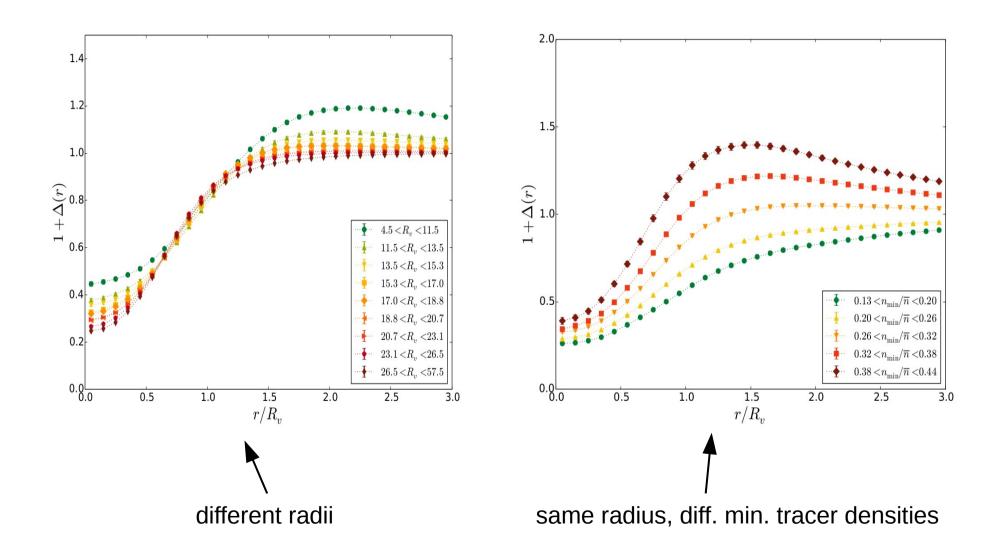
#### Tracer number density vs. dark matter density



Nadathur & Hotchkiss 2015a

Related, but not the same. Larger voids still have deeper minima.

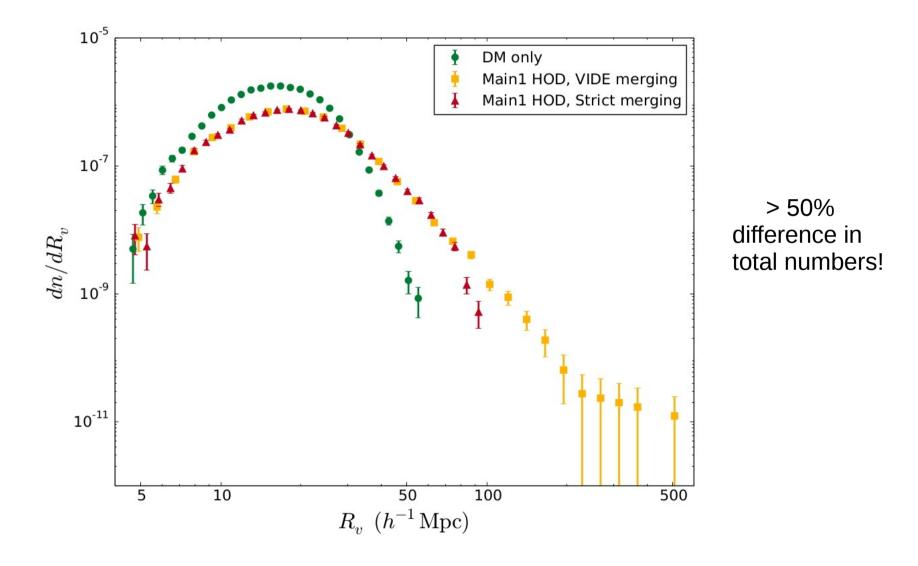
#### DM content of voids



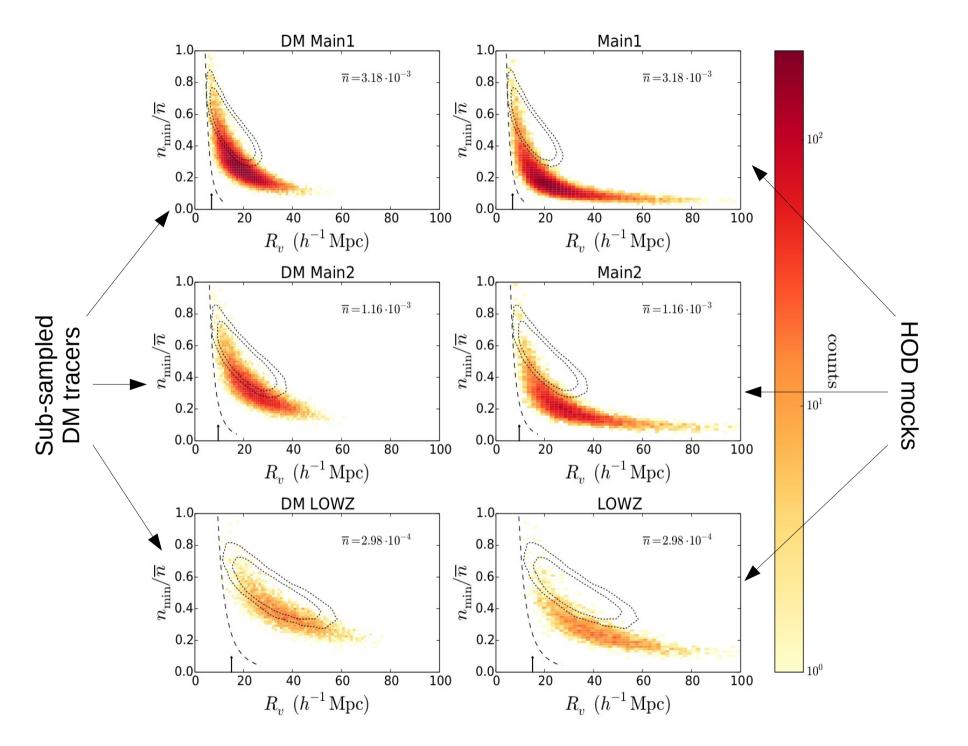
Nadathur & Hotchkiss 2015a

The word 'void' means different things in different contexts! Excursion set model voids  $\neq$  ZOBOV/watershed voids What about voids traced by galaxies?

#### Galaxies change void abundances and sizes

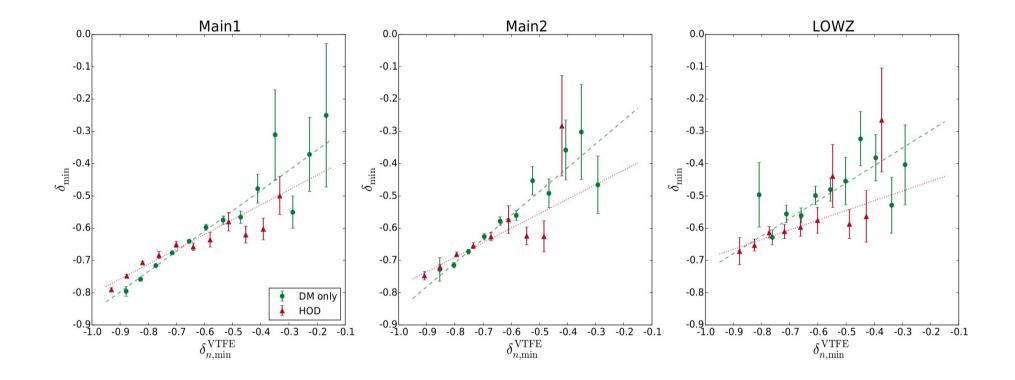


Nadathur & Hotchkiss 2015b, in prep.



Nadathur & Hotchkiss 2015b, in prep.

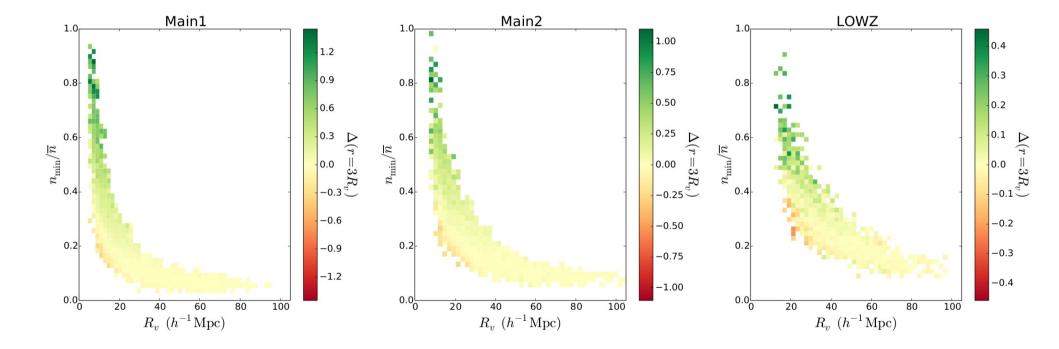
# Galaxy voids trace DM underdensities differently



Voids traced by galaxies  $\neq$  voids traced by sub-sampled DM

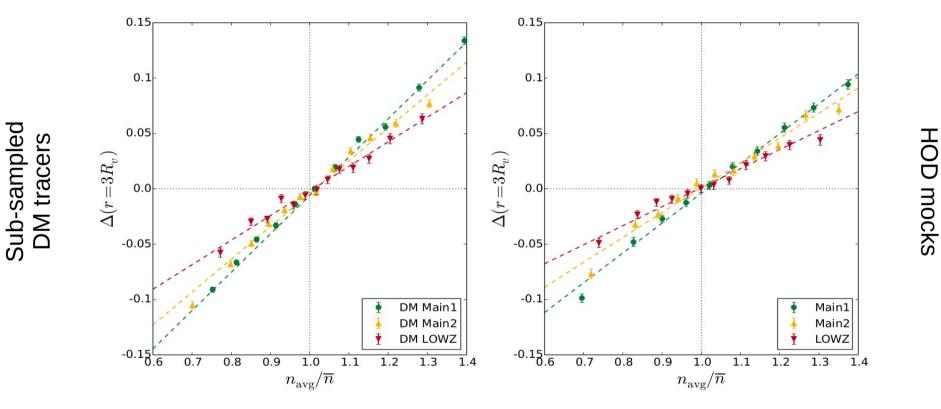
(obvious, with hindsight?)

#### Compensation of mass deficit in voids



Nadathur & Hotchkiss 2015b, in prep.

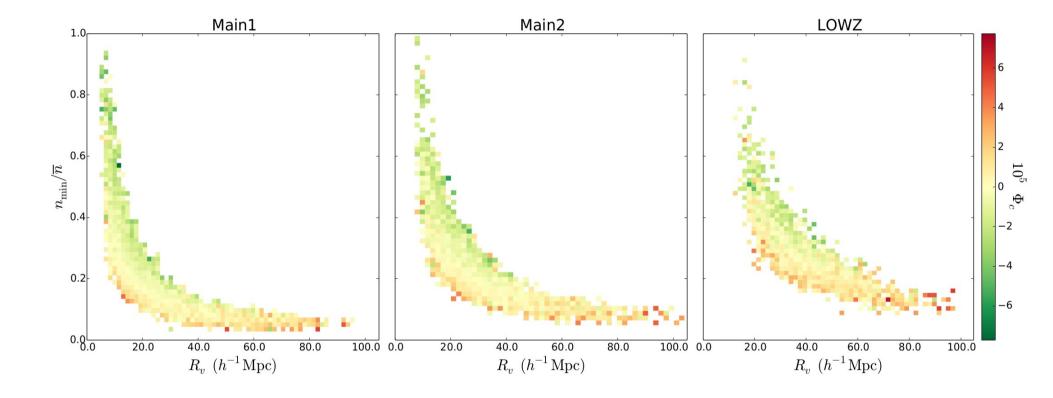
#### Compensation of mass deficit in voids



Linear relationship, universal predictor of compensation

Nadathur & Hotchkiss 2015b, in prep.

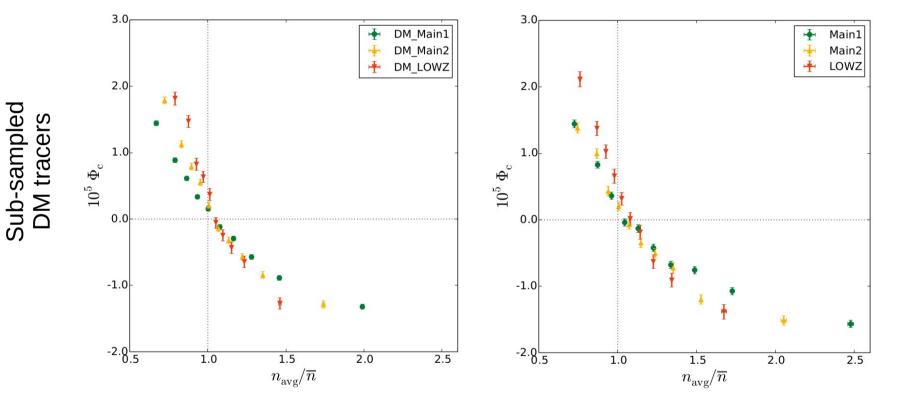
#### Gravitational potential in voids



Naturally,  $\Phi \leftrightarrow \Delta$ 

Hotchkiss & Nadathur 2015, in prep.

#### Gravitational potential in voids



Hotchkiss & Nadathur 2015, in prep.

## Summary

- Excursion set model does not match (watershed) voids in simulation – because algorithms don't find objects matching model assumptions
- Meaning of the word 'void' context-dependent!
- Need for simulation-led approach/calibration
- In simulations, all void observables depend on tracer properties
- So to be observationally relevant, simulations must use mock galaxy tracers
- There are some nice properties of simulated voids  $\Delta$ ,  $\Phi$  which can be predicted from observable quantities
- Maybe theory should start from here (work for the future...)