

STUDIES OF THE UNDERLYING EVENT AND PARTICLE PRODUCTION WITH THE ATLAS DETECTOR.

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on behalf of the ATLAS Collaboration

¹DESY

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ATLAS has measured particle production and the underlying event

- > using various different **hard processes**
- > at several centre-of-mass **energies**

Too much to discuss in full, so I will show only most recent results:

13 TeV! Detector-level underlying event distributions

ATL-PHYS-PUB-2015-019

Underlying event in jet events

EPJC 74 (2014) 2965

Underlying event in inclusive Z-boson production

EPJC 74 (2014) 3195

Dijet production with large rapidity gaps

accepted by PLB

Exclusive dilepton production

PLB 749 (2015) 242-61

Transverse polarisation of Λ and $\bar{\Lambda}$ hyperons

PRD 91 (2015) 032004



UNDERLYING EVENT

What is the underlying event?

Any **hadronic** activity not associated with **hard scattering** process

- > Unavoidable **background** to collision events
- > **Non-perturbative** effects dominate → not well-predicted

Typically modelled with

- > Multiple parton interactions
- > Initial/final-state radiation
- > Colour reconnection with beam remnants

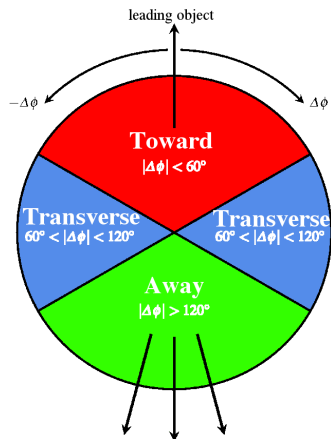
Impossible to unambiguously assign particles to hard scatter or UE

- > Measurements must not be dependent on **details of model** used



Underlying event topology

- > Identify a “hard scatter” using a **reference object** (eg. jet/Z/track)
- > Define azimuthal regions with respect to this **leading object**



- > **Toward** and **transverse** regions most sensitive to the underlying event
- > High p_T recoil important in **away** region \rightarrow **perturbative** QCD
- > **Transverse** region can be further divided into **trans-max** and **trans-min** depending on the amount of activity

Underlying event observables

Reconstruct kinematics: calorimeter deposits and charged tracks

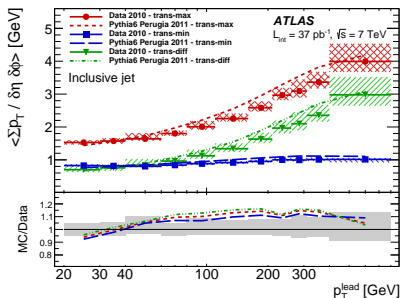
Densities and averages

- > Average p_T of charged particles: $\langle p_T \rangle$
- > Number density of charged particles: $N_{ch}/\delta\eta\delta\phi$
- > p_T density of charged particles: $\sum p_T/\delta\eta\delta\phi$
- > E_T density of all particles: $\sum E_T/\delta\eta\delta\phi$

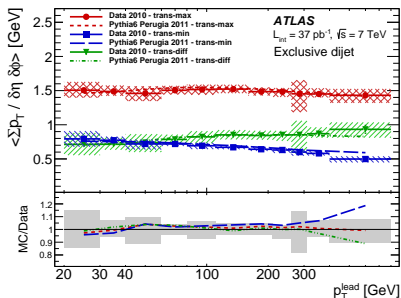
Particle spectra

- > Charged particle p_T spectrum
- > Charged particle multiplicity spectrum



≥ 1 jet


Exactly 2 jets

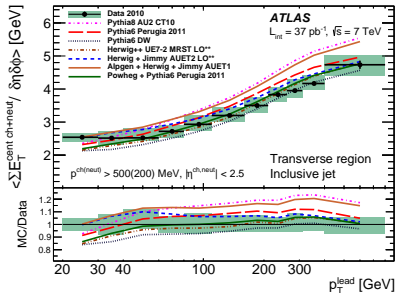


- > **Trans-min** flat (at hard enough scales) \rightarrow treat UE activity as constant
- > Increasing activity for **trans-max** \rightarrow pQCD
- > Colour connection to jet?

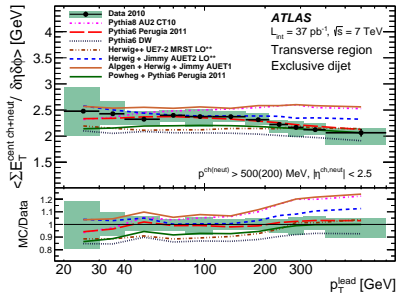
- > Both **trans-max** and **trans-min** regions flat in p_T
- > Veto on extra **hard activity** lessens sensitivity to pQCD



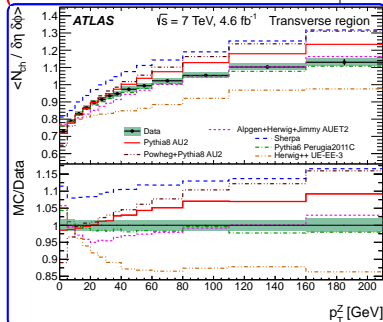
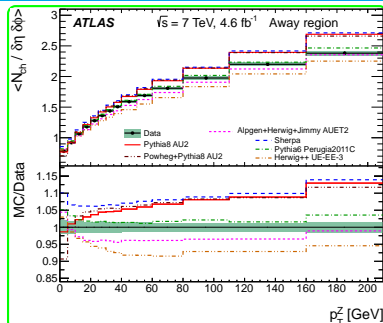
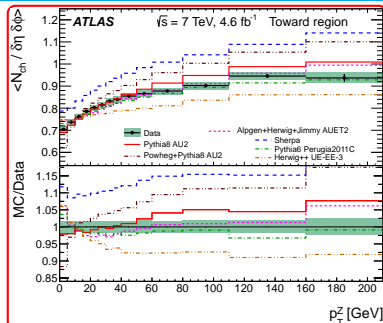
Inclusive jet selection



Exclusive dijet selection

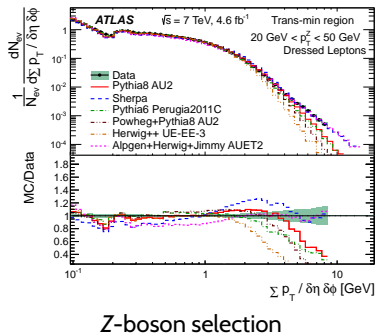
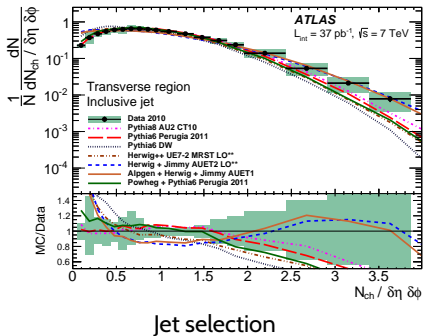


- Similar distributions for $\sum E_T$ from calorimeter clusters
- Compare to different Monte Carlo models and tunes
- Best agreement given by **PYTHIA 6** with **Perugia 2011** tune



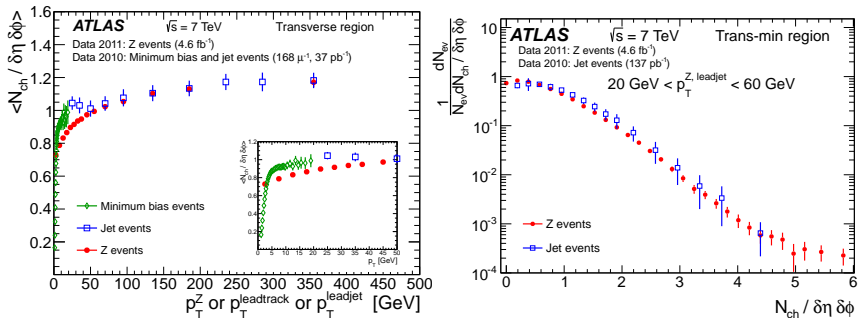
- > Measurement of **toward** UE!
- > Tune **non-perturbative** models with low p_T region
- > **Away** region dominated by Z+j
- > **Toward** and **transverse** regions sensitive to higher N_{jets}



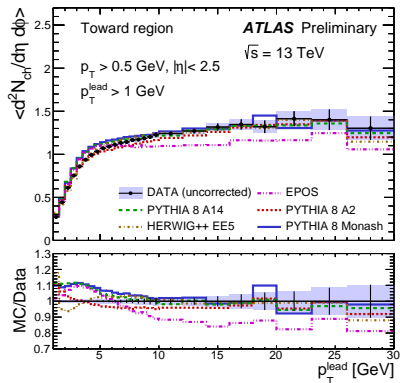
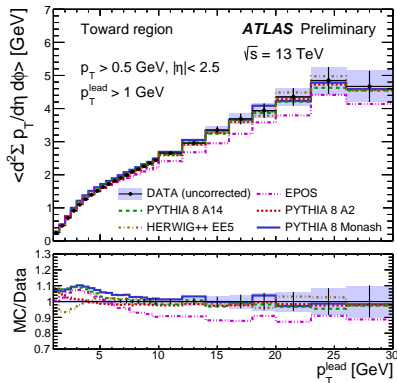


- > Double differential charged particle **multiplicity** and p_T spectra
- > Provide further discrimination between Monte Carlo **models**
- > Current models **do not** describe these observables well

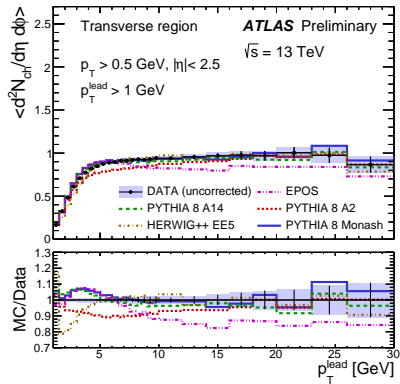
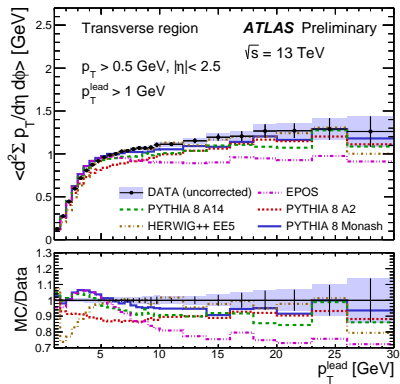
- Compare UE measurements with different **hard scatters**
- Qualitative test of MPI **universality** in different hard processes



- Good agreement between **jet** and **Z-boson** measurements
 → especially for **trans-min** (most sensitive to MPI)
- How well does the MPI model extrapolate to **higher energies**?...



- Detector-level only (preliminary result)
- Good agreement with data in **toward** region



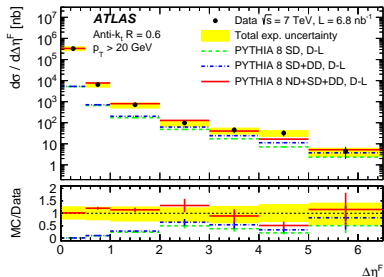
- Greater discriminating power in **transverse** region
- Still only **minor** discrepancies from the data
 → MPI energy extrapolation working **well**

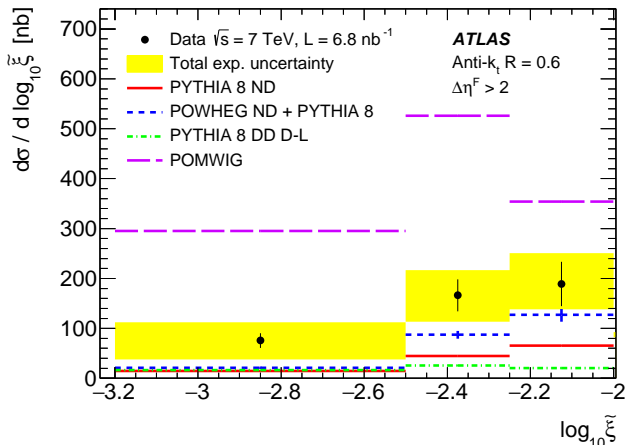
PARTICLE PRODUCTION



- > Use **tracks** and **calorimeter** deposits to identify activity
- > **Rapidity gap** is largest empty η span from detector edge

- > Decomposition into **diffractive** components
- > Non-negligible contribution from **ND** even at large $\Delta\eta^F$

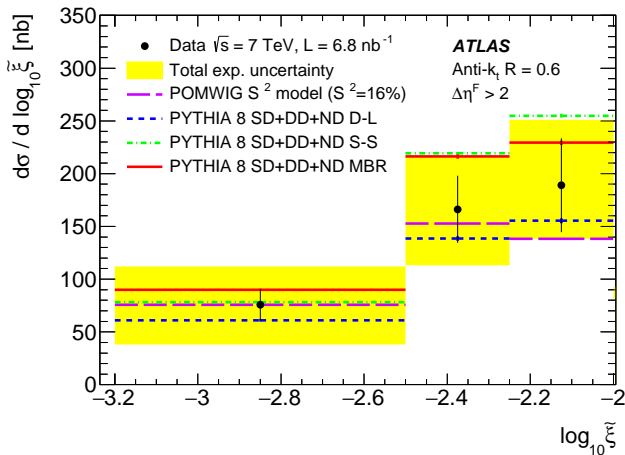




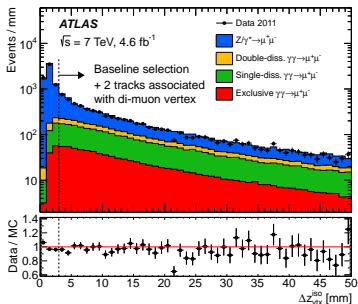
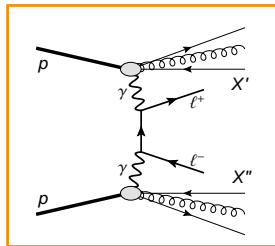
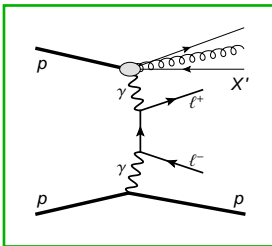
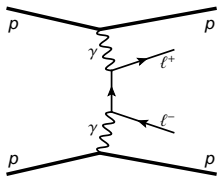
- > Consider $\xi = M_X^2/s$
- > In region $\Delta\eta^F > 2$

- > ND contribution from **PYTHIA** or **POWHEG+PYTHIA 8** not enough
- > PYTHIA 8 **DD** contribution also falls short of the data
- > **POMWIG** SD-only overshoots → need **gap survival factor**

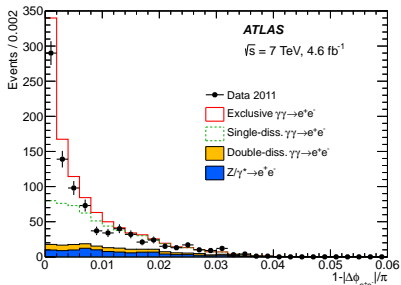




- Scale **POMWIG** to lowest $\log \xi$ bin $\rightarrow S^2 = 16\%$
- PYTHIA 8 for three different Pomeron flux choices
 \rightarrow **compatible** without needing gap survival factor

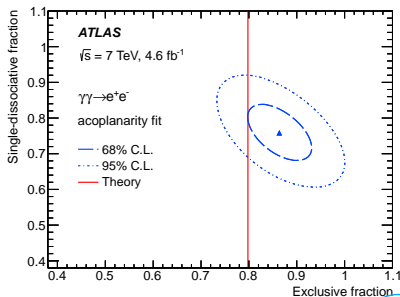


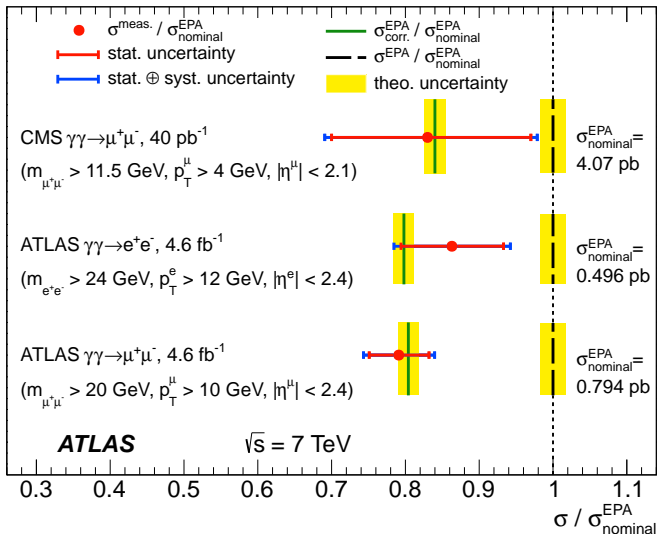
- > Large **backgrounds** dominate
- > Complex selection to extract **signal**
- > Irreducible **SD** and **DD** contributions important



- Agreement with **world average**
- For e^+e^- and $\mu^+\mu^-$ channels

- Fit acoplanarity distributions
- Subtract **DD** and **Drell-Yan** backgrounds
- Template fit allows extraction of **SD fraction**





> **Corrected** for interactions between elastically scattered protons

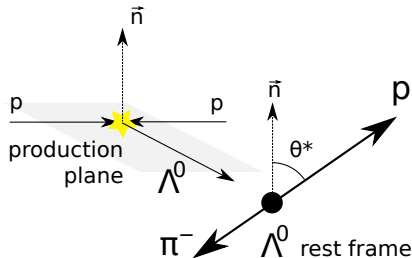
- Λ hyperon: spin $1/2$ particle
- Polarisation, P , defined as:

$$P = \frac{N_{+1/2} - N_{-1/2}}{N_{+1/2} + N_{-1/2}}$$

$\Lambda \rightarrow p\pi^-$ and $\bar{\Lambda} \rightarrow \bar{p}\pi^+$ decays

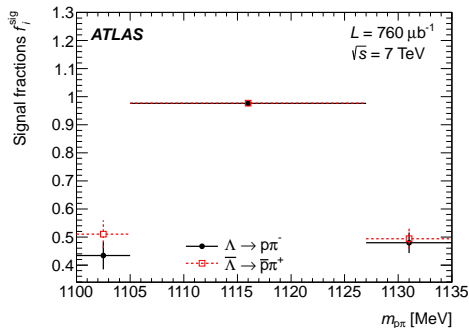
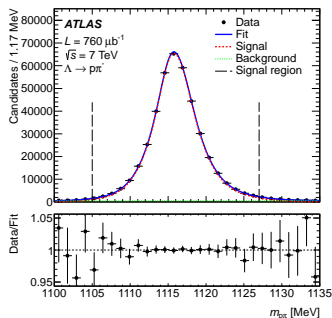
- Angular distribution given by:
- $$w(\cos\theta^*) = \frac{1}{2} (1 + \alpha P \cos\theta^*)$$
- $\alpha = 0.642 \pm 0.013$ (parity-violating decay asymmetry) is well-known

No theoretical model exists!



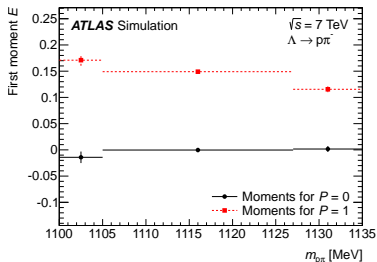
- polarization measured **normal** to production plane:
- as function of p_T and $x_F = p_z/p_{beam}$
- in region $x_F < 0.0025$

- Kinematic cuts to reduce **background**
- **Signal** from long-lived two-prong decays



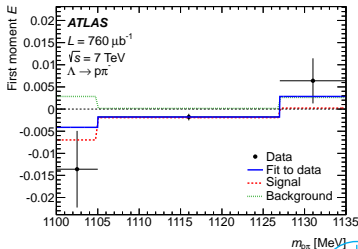
- Divide invariant mass range into **signal region** and **sidebands**
- **Multi-parameter** fit to Λ candidate distribution
 → allows extraction of signal fractions, f_i^{sig} in each region

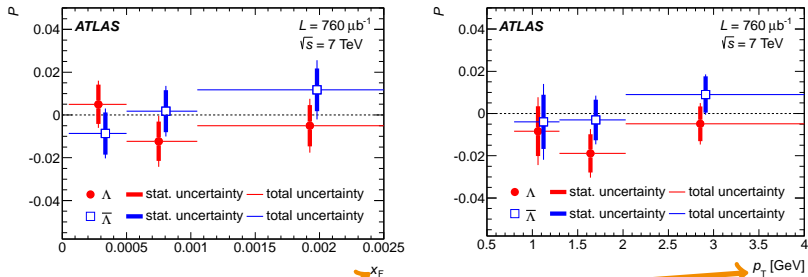
- Expectation value (first moment) of decay angle **linear** in P



- Use $P = 0, 1$ templates
- Assume polarisation of background events $[E_{bkg}]$ **independent** of mass

- Calculate **moments** separately in the signal region and sidebands
- Signal fractions already known
- Simultaneously** fit signal and sidebands to extract E_{bkg} and P

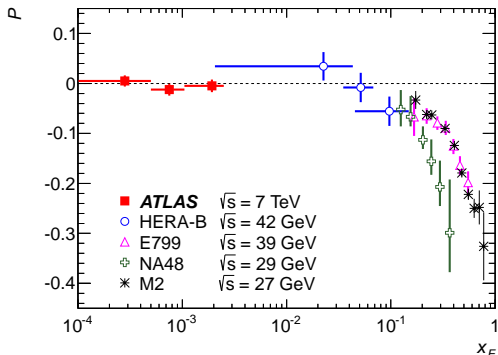




- Measurement binned in x_F and p_T
- Polarization $< 2\%$ in all bins
- Consistent with zero in full fiducial phase space

$$P(\Lambda) = -0.010 \pm 0.005(\text{stat}) \pm 0.004(\text{syst})$$

$$P(\bar{\Lambda}) = 0.002 \pm 0.006(\text{stat}) \pm 0.004(\text{syst})$$



- ATLAS tests different **kinematic phase space**
→ direct comparison of results **non-trivial**
- No theoretically motivated prediction, only **empirical** models

Propose introduction of **energy dependence**

- about half the Λ produced in ATLAS come from decays
- dilutes polarisation → smaller than extrapolation

Underlying Event

- > **NEW** measurements of underlying event [first **Run II** results]
- > Large variety of **multiplicity** and **energy density** distributions
- > MC models tuned to previous LHC data working well
→ particularly **MPI** energy extrapolation

Particle Production

- > Complex measurements extracting **small** signals
- > Measurements provided in well-defined **fiducial regions** for easy comparison with theory
- > Many more Run II results **on the way**



BACKUP

Reconstructed decay angle distribution

$$w(t) \propto \epsilon(t) [(1 + \alpha Pt)] \otimes R(t', t)$$

where t' and t are true and reconstructed decay angles ($\cos \theta^*$), $\epsilon(t)$ is the efficiency function and $R(t', t)$ the resolution function

Method of moments

- > The expectation value (first moment) of $w(t)$ is linear in P :

$$E(w|P = p) \equiv E(p) = C_0 + C_1 p = E(0) + [E(1) - E(0)]p$$

- > $E(0)$ and $E(1)$ estimated from MC with polarisation set to 0 and 1

$$E_i^{exp}(P, E_{bkg}) = f_i^{sig} \left[E_i^{MC}(0) + [E_i^{MC}(1) - E_i^{MC}(0)] P \right] + (1 - f_i^{sig}) E_{bkg}$$



- > Many possible parametrisations
- > B. Lundberg [PRD 40 (1989) 3557] is a popular choice
- > Assumes energy independence and neglects detector effects

$$P = (-0.268x_F - 0.338x_F^3) \times (1 - e^{-4.5p_T^2})$$

- > **ATLAS:** $\langle p_T \rangle \sim 1.8 - 2.1$ GeV and $\sqrt{s} = 7$ TeV
- > **HERA-B and E799:** $\langle p_T \rangle \sim 0.67 - 2.2$ GeV and $\sqrt{s} \sim 40$ GeV

