

Detection of Neutrons: Part I

Ralf Nolte

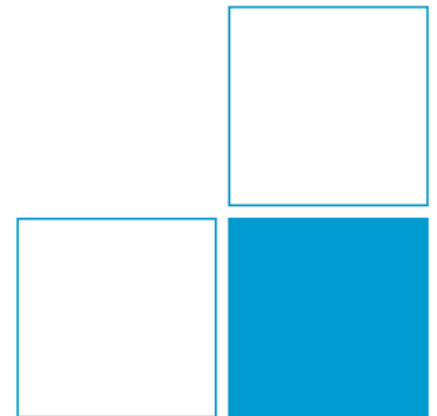


Table of Contents

- **Introduction**
 - Neutrons in Science and Technology
 - Interaction of Neutrons with Matter
- **Neutron Detection**
 - General Properties of Detectors
 - Detectors for Thermal and Slow Neutrons
 - Detectors for Fast Neutrons
 - Recoil Detectors: Prop. Counters, Scintillation Detectors, Recoil Telescopes
 - (Fission) Ionization Chambers
- **Techniques for Neutron Measurements**
 - Time-of-flight
 - Spectrometry
 - Spatial Neutron Distribution
- **Absolute Methods, Quality Assurance**
 - Associated particle methods
 - Key comparisons

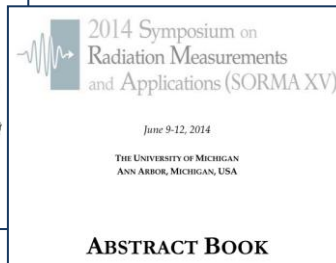
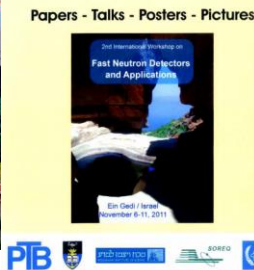
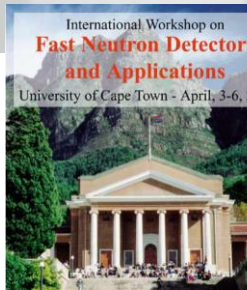
Where to Find More Reference Material?



- W.D. Allen:
Neutron Detection (1960)
- J.B. Marion, J.L. Fowler:
Fast Neutron Physics (1960)
- K.H. Beckurtz, K. Wirtz:
Neutron Physics (1964)
- W.R. Leo:
Techniques for Nuclear and Particle Physics Experiments (2nd ed. 1994)
- G. Knoll:
Radiation Detection and Measurement (4th ed. 2010)

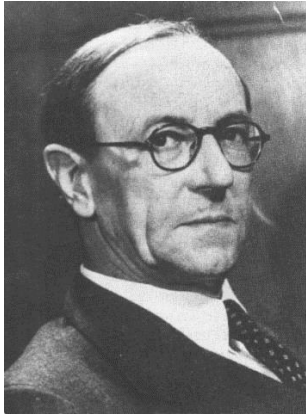
Conference proceedings:

- H. Klein *et al.* :
Proc. NEUSPEC 2000
NIMA 475 (2002)
- SORMA, Crete, ND, ...



Historical Prelude: Chadwick's Discovery of the Neutron

- **Sir James Chadwick (1932)**



Possible Existence of a Neutron

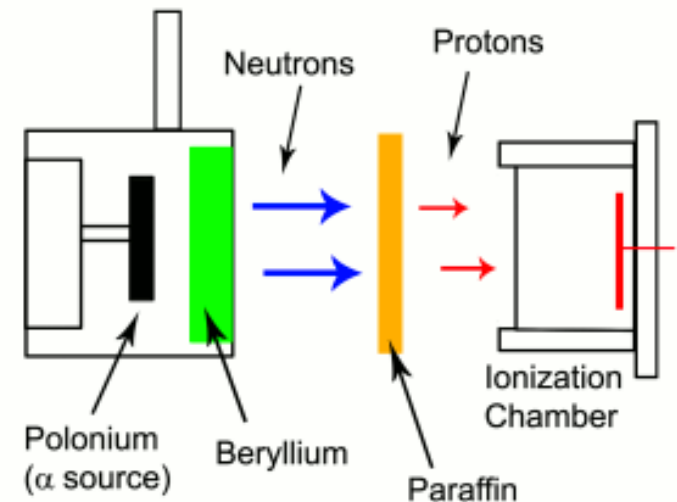
It has been shown by Bothe and others that beryllium when bombarded by α -particles of polonium emits a radiation of great penetrating power, which has an absorption coefficient in lead of about 0.3 (cm.)^{-1} . Recently Mme. Curie-Joliot and M. Joliot found, when measuring the ionisation produced by this beryllium radiation in a vessel with a thin window, that the ionisation increased when matter containing hydrogen was placed in front of the window. The

Ref.: J. Chadwick, Nature 132 (1932) 3252



...the man who never laughed

- **Correct explanation of the experiments by I. Curie and F. Joliot**
- **All elements of a modern neutron detector were present:**
 - **Neutron converter**
 - **Detector for charged particles**

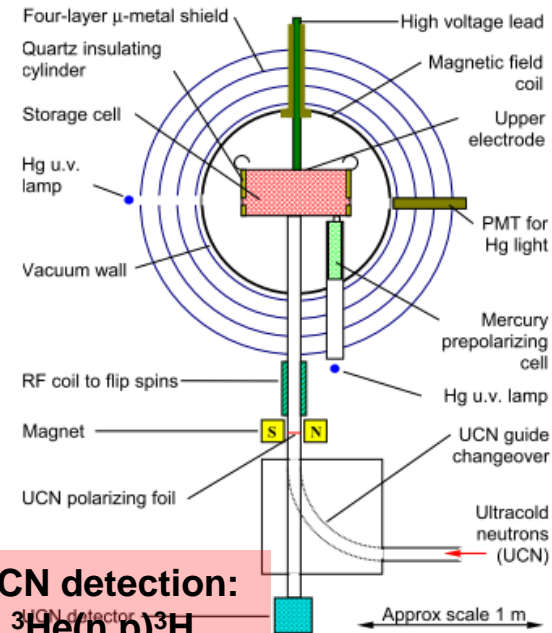


Neutrons in Science ...

- Laboratory for fundamental physics: **EDM, ...**



$$\hbar\omega_L \sim \mu \cdot \mathbf{B} + d \cdot \mathbf{E}$$

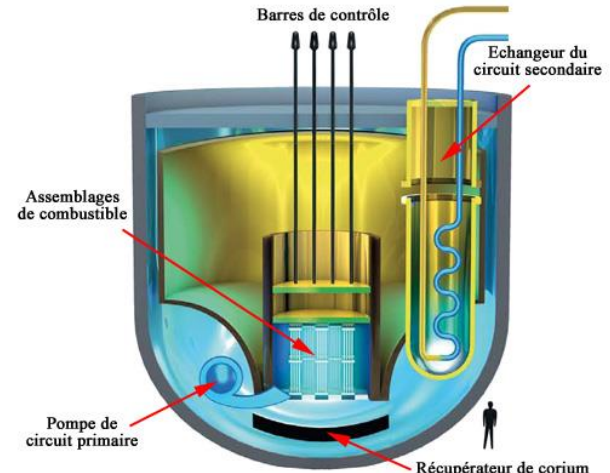
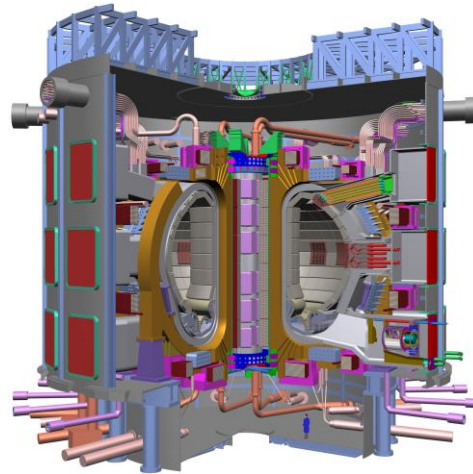


- Ideal tool for probing matter:
 - No Coulomb force: deep penetration
 - Strong Interaction: isotope-specific detection
 - Magnetic moment: magnetic structures
 - Low energies: crystal structures

... Technology

- Neutrons can be used to produce energy

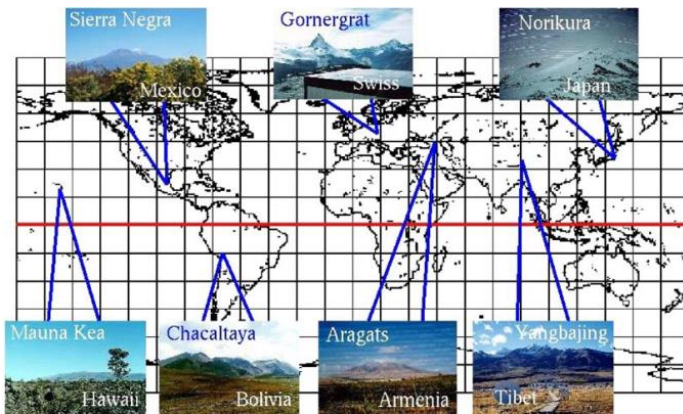
- Fusion
- Fission



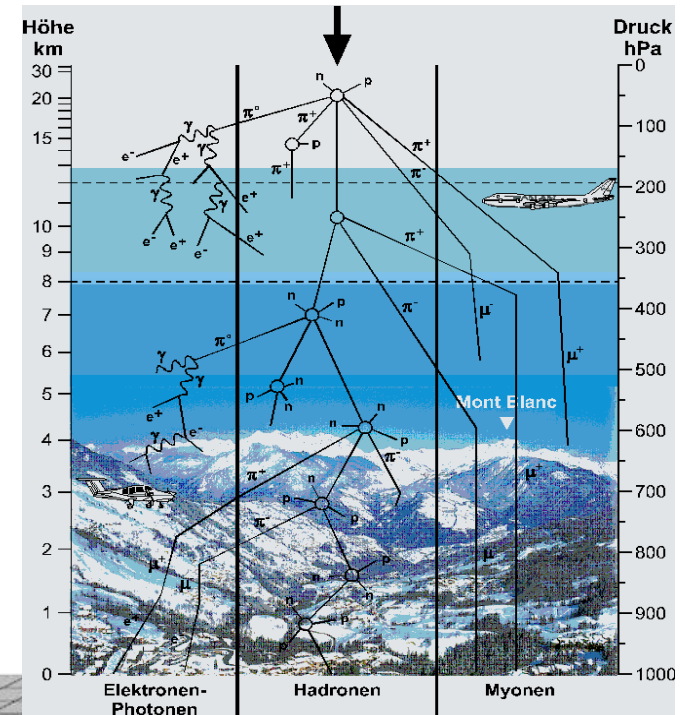
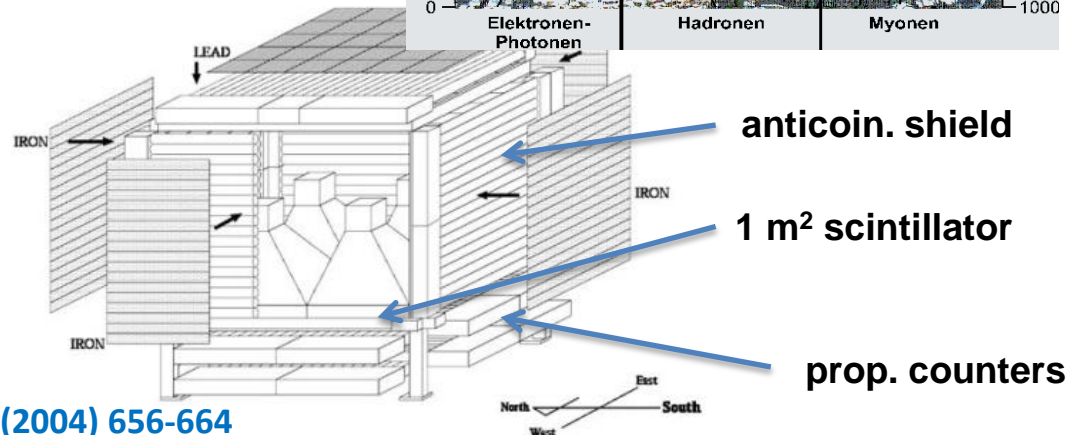
- Biggest disadvantage: the (free) neutron is unstable:
 $\tau \approx 880 \text{ s}$
- Intense neutron sources require considerable efforts:
 - Reactors
 - High-power low-energy accelerators
 - Spallation sources

... and the World Around

- **Cosmic Neutron:**
 - Production in the atmosphere by galactic radiation
 - Production on the sun
- **Neutron monitors:**
Diagnostic for solar processes
- **Radiation protection at flight levels:**
 $dH^*_n/dt \approx 1 - 4 \mu\text{Sv/h}$ at 12 km



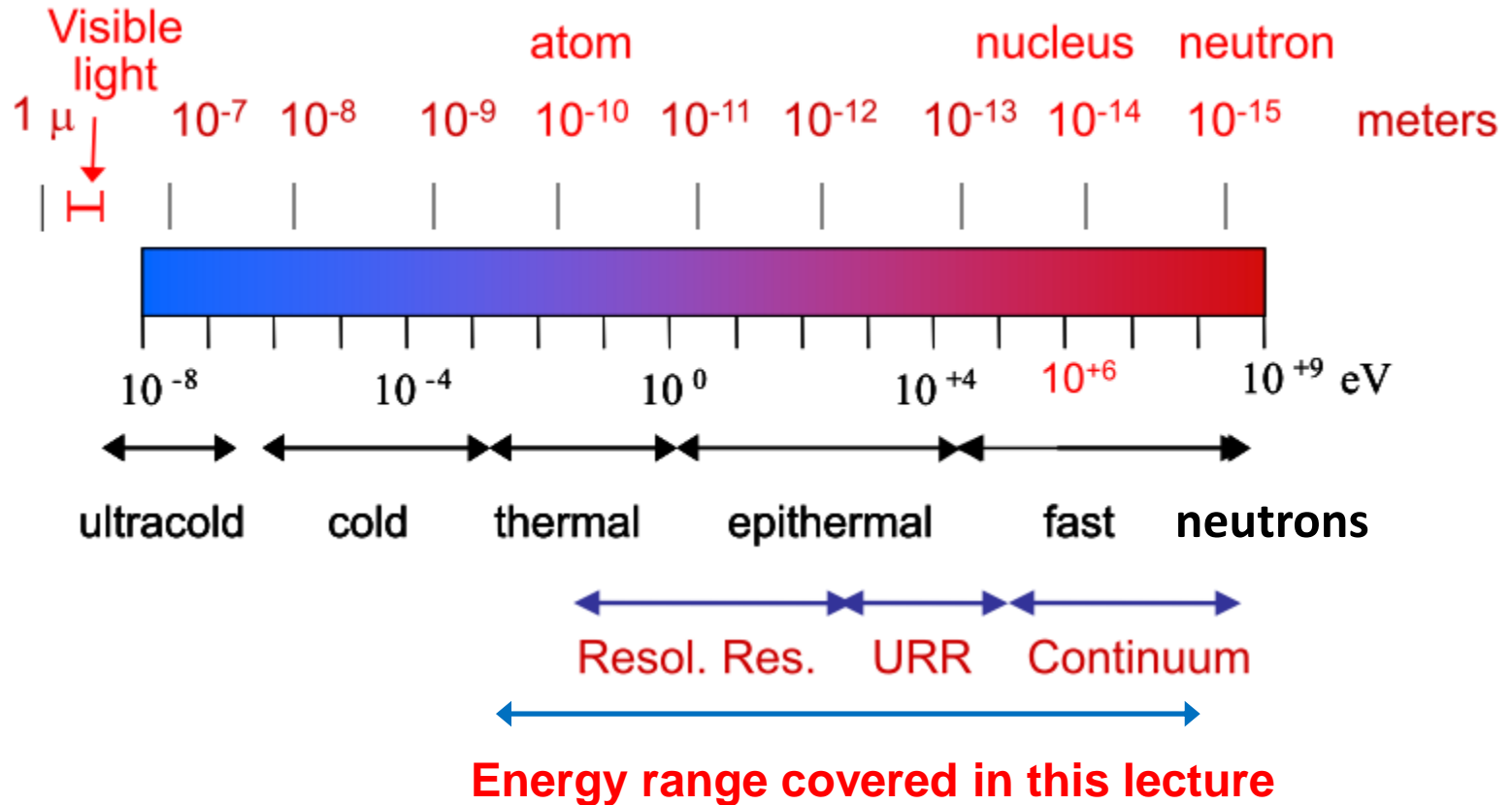
Mexico Solar Neutron Telescope



Ref.: J.F. Valdéz-Galicia *et al.*, NIMA 535 (2004) 656-664

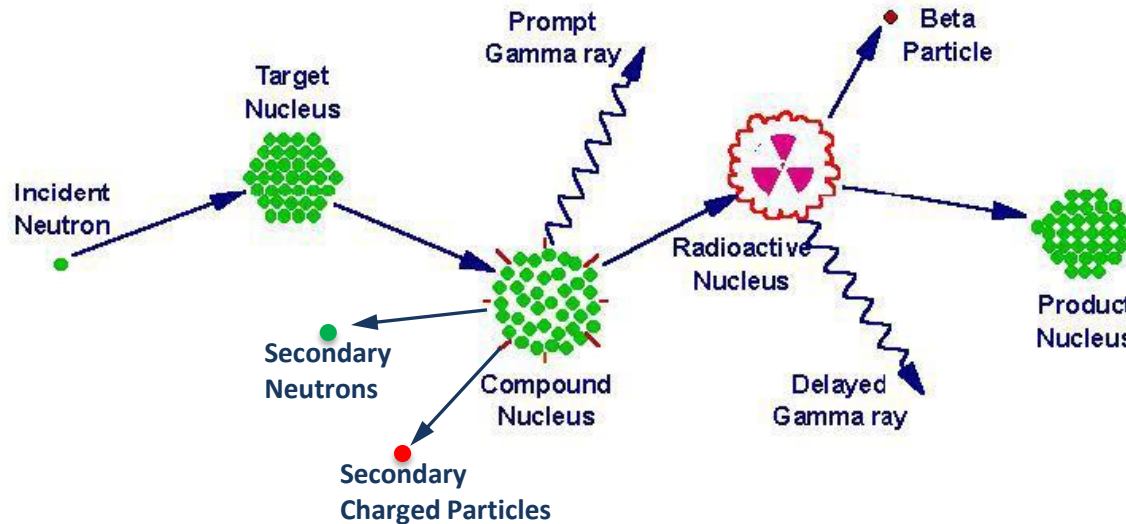
Classification of Neutrons

de Broglie wavelength: $\lambda = h / p$



General Detection Principles

- Neutron detectors do **not** detect neutrons but products of neutron interactions!



- Almost all detector types can be made neutron sensitive:
 - external converter (radiator)**
 - converter = detector**



The Neutron Detection Process

- Detection of a neutron is a sequential process:
 1. Interaction of the incident neutron: **Neutron transport**
 2. Transport of secondary particles to or within sensing elements: **Hadron, ion, photon transport**
 3. Primary ionization by secondary particles
 4. Conversion to optical photons, gas amplification: **Transport of electrons and optical photons**
 5. Conversion to electrical signal **S**
- These steps are described by transfer functions **$T_i(s_{i-1}, s_i)$**
- Convolution of the T_i 's: **Response function $R(S, E)$**

$$N_S(S) = \int R(S, E) \Phi_E(E) dE$$

... How to solve this integral equation?

General Detection Principles

Basic requirements for neutron detection:

- Slow neutrons: **high Q -values, no resonances!**
- Fast and high-energy neutrons: **large smooth cross sections!**

Basic types of neutron detectors:

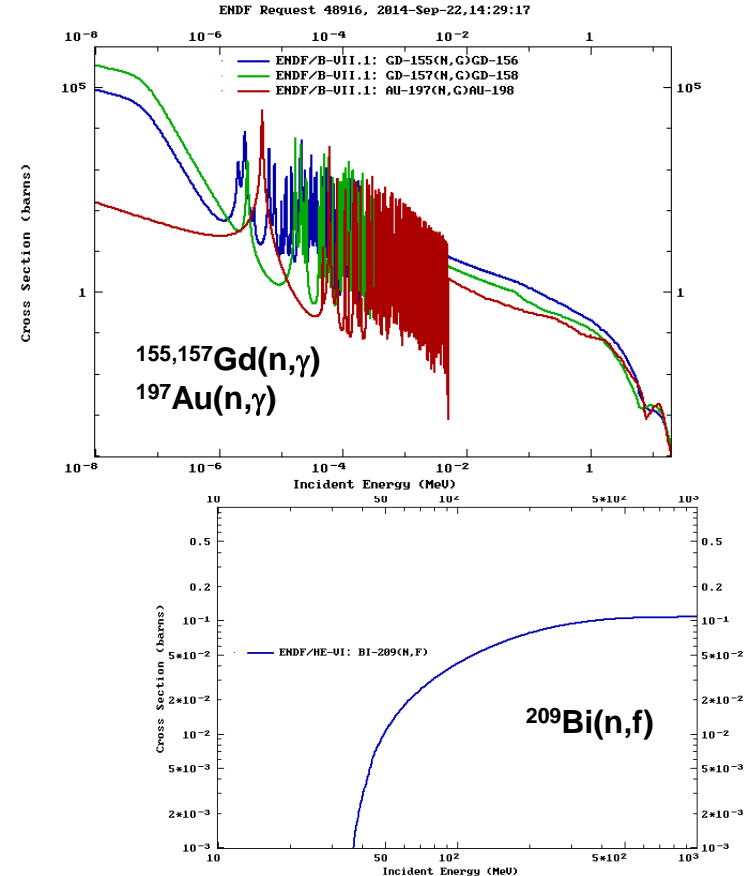
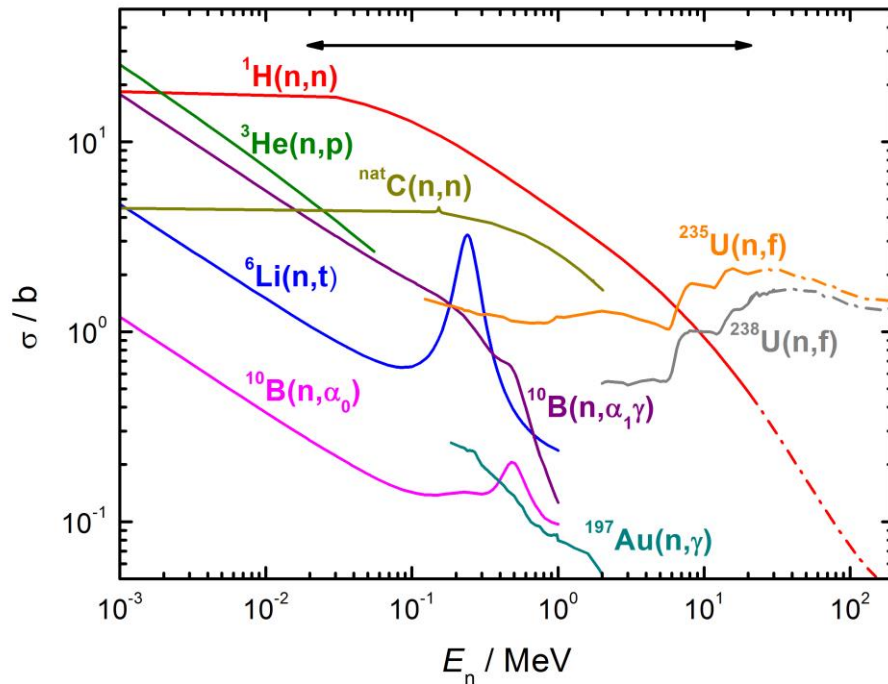
- **Neutron counters**
 - Signal does not depend on neutron energy
 - Typical for detection of thermal neutrons
- **Neutron spectrometers**
 - Signal somehow related to neutron energy
 - Inversion procedures are used to infer the neutron energy distribution

Interaction of Neutrons with Matter

Neutrons can only be detected after conversion to charged particles or photons:

- Elastic scattering: ${}^AX(n,n){}^AX \rightarrow \text{recoil nucl. } {}^AX^{z+}$
- Inelastic scattering: ${}^AX(n,n'\gamma){}^AX \rightarrow \text{recoil nucl. } {}^AX^{z+}, e^-$
- Radiative capture: ${}^AX(n,\gamma){}^{A+1}Y \rightarrow e^-$
- Neutron emission: ${}^AX(n,2n){}^{A-1}Y \rightarrow \text{radioact. daughter}$
- Charged-particle emission (lcp = p, d, t, h, α):
 ${}^AX(n,\text{lcp}){}^{A'}Y \rightarrow \text{lcp, recoil nucl. } {}^{A'}Y^{z+}$
- Fission: $n + {}^AX \rightarrow {}^{A1}X_1 + {}^{A2}X_2 + \nu n \rightarrow \text{fission fragments}$

Cross Sections Relevant for Neutron Detection



- List of reactions relevant for neutron detection:
Cross section standards + dosimetry standards!
- some additional reactions: $^{187}\text{Au}(n_{\text{th}},\gamma)$, $^{155,157}\text{Gd}(n_{\text{th}},\gamma)$, $^{209}\text{Bi}(n,f)$,

Kinematics of Nuclear Reactions: $A(a,b)B$

Kinematical properties of two-particle reactions relevant for neutron detectors:

- Strict correlation between ejectiles
this is important for tagging neutrons
- Energy E_B of recoil nucleus
- Center-of-mass \leftrightarrow laboratory system

$$\cos \phi_B^{\text{lab}} = \cos(\phi_B^{\text{cm}} / 2)$$

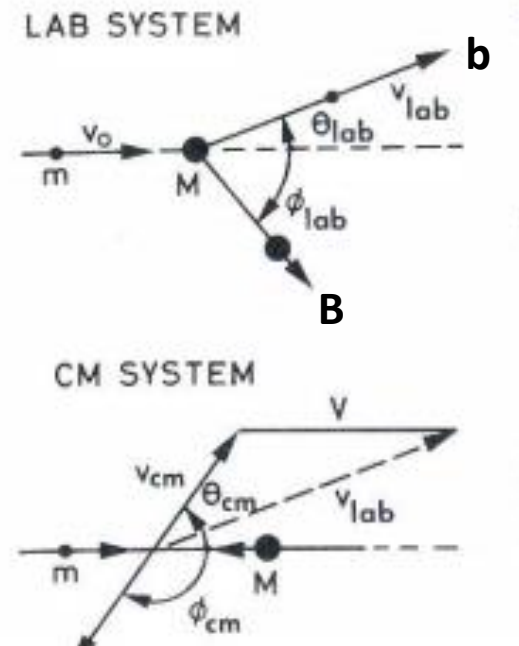
\Rightarrow Energy distribution of recoils

$$\frac{dN}{dE_B} \propto \frac{1}{E_a} \frac{(A+a)^2}{4A} \left(\frac{d\sigma}{d\Omega^{\text{cm}}} \right) (E_a)$$

this is 'employed' in recoil detectors

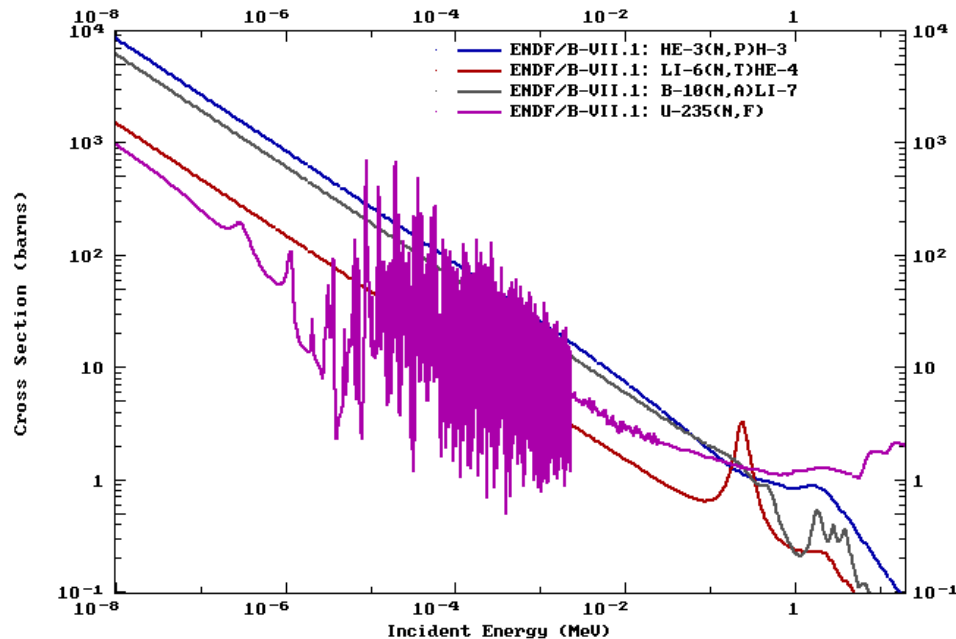
$$\vec{p}_b^{\text{cm}} = -\vec{p}_B^{\text{cm}}$$

$$E_B = E_0 \frac{4A}{(A+a)^2} \cdot \cos^2 \phi_B^{\text{lab}}$$



Thermal and Slow Neutrons

Two-Particle Reactions with high Q-Value



- $^{10}\text{B}(n,\alpha_0)^7\text{Li}$: $Q_0 = 2.792 \text{ MeV}$
- $^{10}\text{B}(n,\alpha_1\gamma)^7\text{Li}$: $Q_1 = 2.310 \text{ MeV}$
- $^6\text{Li}(n,t)^4\text{He}$: $Q = 4.78 \text{ MeV}$
- $^3\text{He}(n,p)^3\text{H}$: $Q = 0.764 \text{ MeV}$
- $^{235}\text{U}(n,\text{fiss})$: $Q \approx 200 \text{ MeV}$

Slow neutrons: $E_n \ll Q$

$$p_1 \approx -p_2, \quad E_1 + E_2 \approx Q$$

- Cross section: $\sigma(E) = \sigma_0 \cdot (v_0/v)$, $v_0 = 2200 \text{ m/s}$
 σ_0 : Westcott cross section
- Reaction rate indep. of neutron spectrum n_E :

$$R = \int \frac{\sigma_0 v_0}{v} \cdot n_E v dE = \sigma_0 v_0 n$$

BF₃ and ³He Proportional Counters

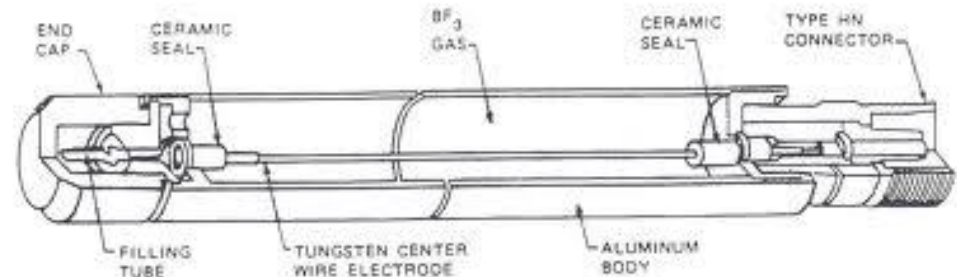
- Cylindrical and spherical shapes

Large variety of sizes: $l < 1\text{ m}$

and pressures: $p < 1\text{ bar}$ (BF₃), 10 bar (³He)

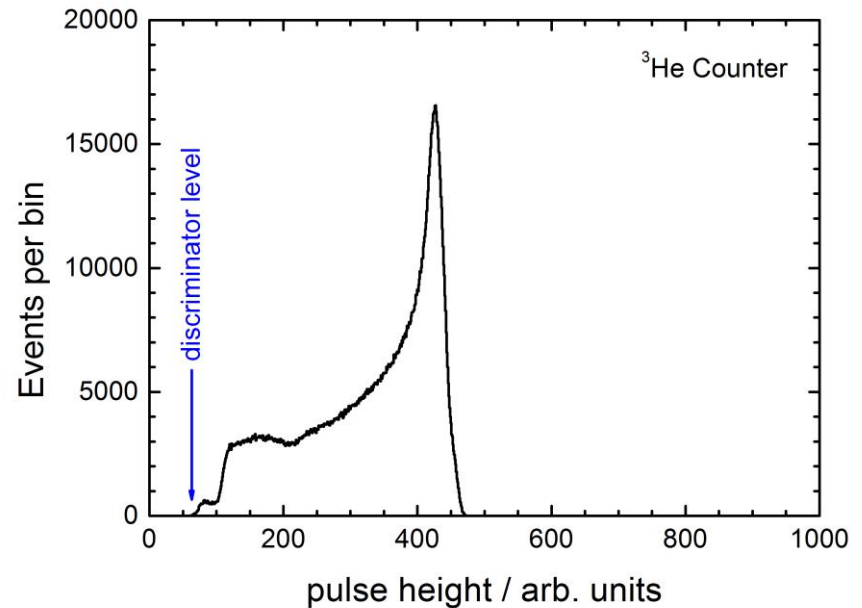
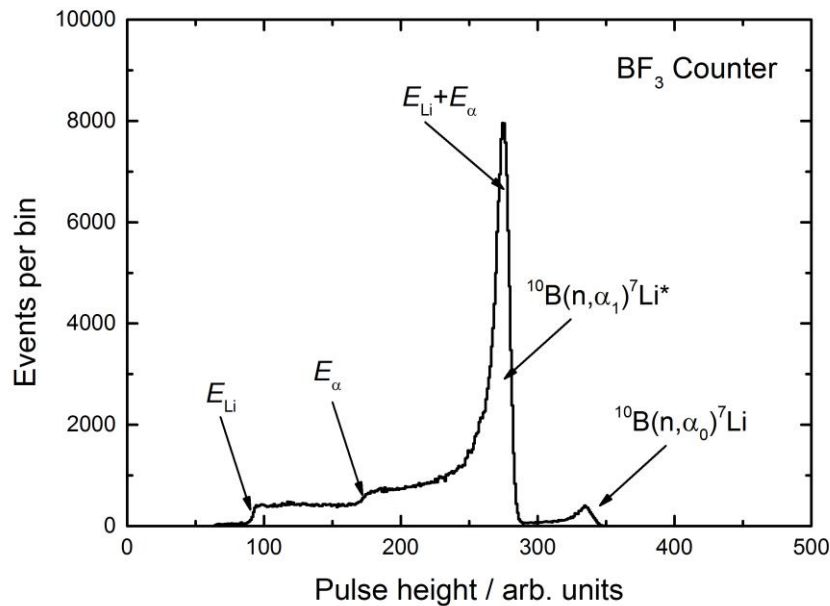
- Counters must be calibrated:

- ³He and BF₃ pressure ?
- ¹⁰B enrichment ?
- Electrical field ?
- Wall effects ?



- n/γ discrimination using a pulse-height threshold
- BF₃: aging at high dose rates
air transport prohibited: HF formation!
- ³He: more efficient than BF₃ because of larger $\sigma \cdot p$
low Q-value makes n/γ sep. difficult
- ³He is scarce nowadays ⇒ replacements urgently needed!

^3He and BF_3 Pulse-Height Spectra



- Wall effect: incomplete energy deposition by one ejectile:
 $E_1 < E_{\text{dep}} < E_1 + E_2$
- Significant dead times: $t_{\text{DT}} = 1\text{-}10 \mu\text{s}$
- Photon background suppressed by pulse-height threshold

Fast Neutrons: Moderating Detectors

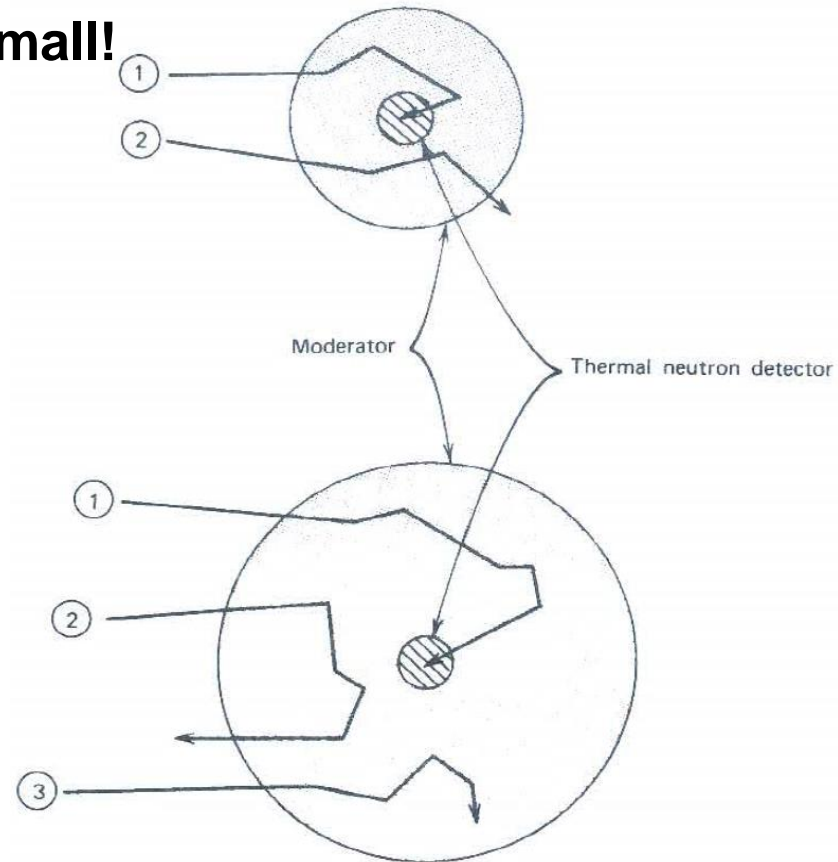
Flat Response Detectors: General Principles

- Fast neutron cross sections are small!

⇒ **Cover a thermal detector with a hydrogenous moderator**

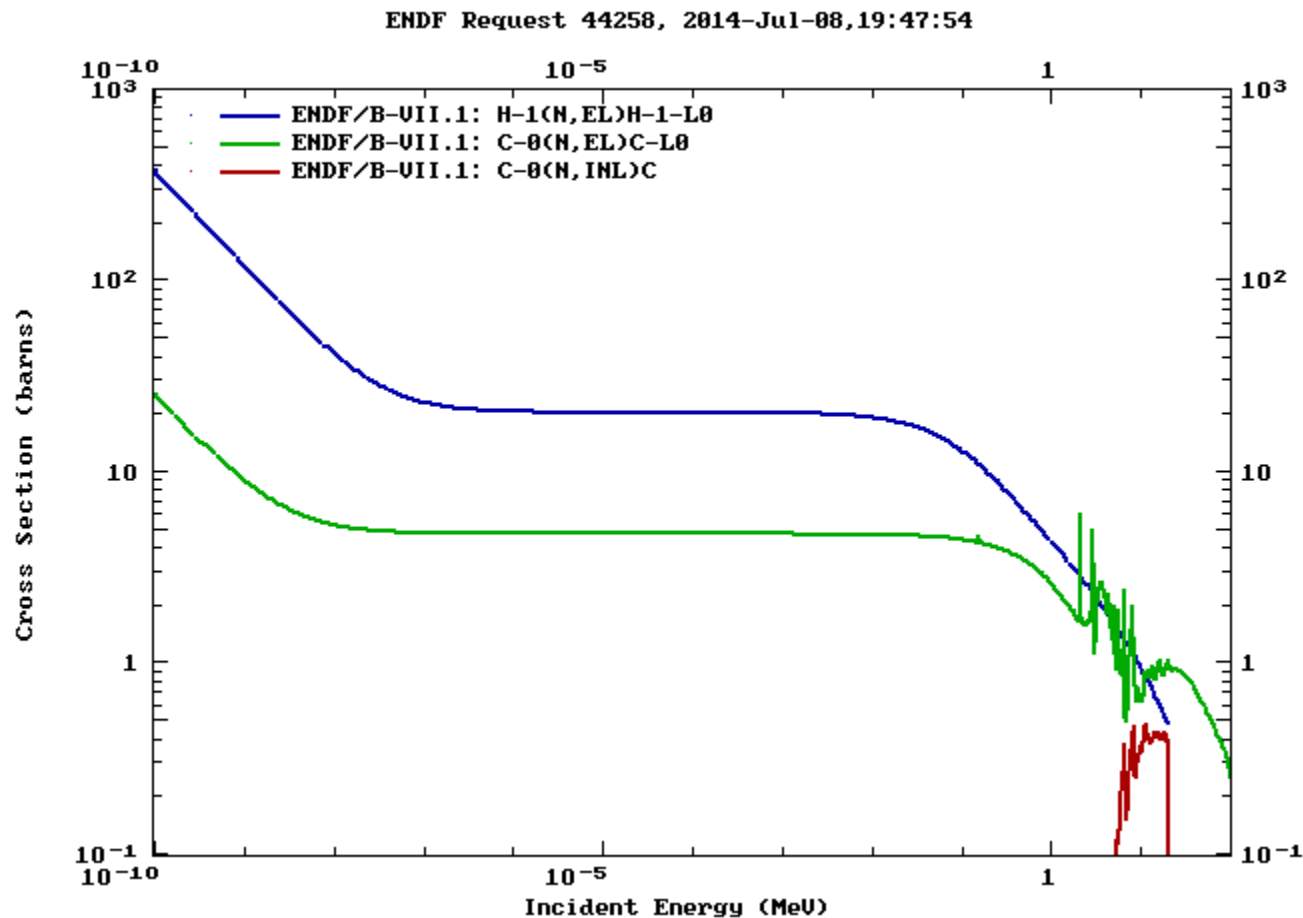
- Response depends on:
 - scattering cross section
 - moderator size
 - neutron energy

⇒ **Reliable calculation with transport codes possible**



Ref.: G. Knoll, Radiation detection and measurement, 3rd ed., p. 539

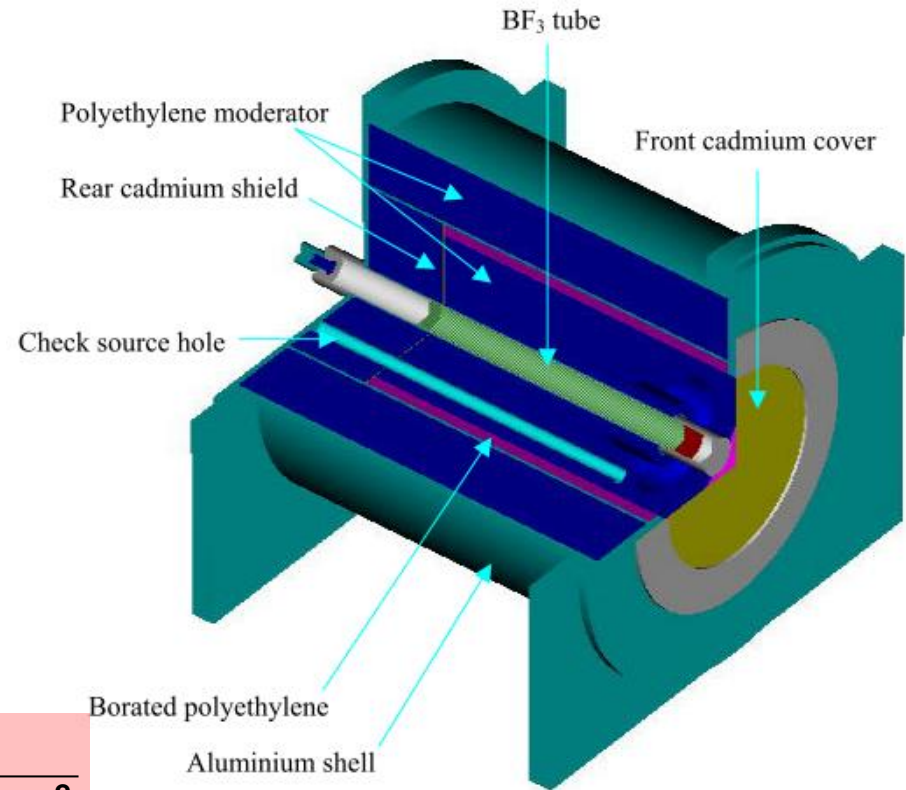
Scattering Cross Section for Hydrocarbons



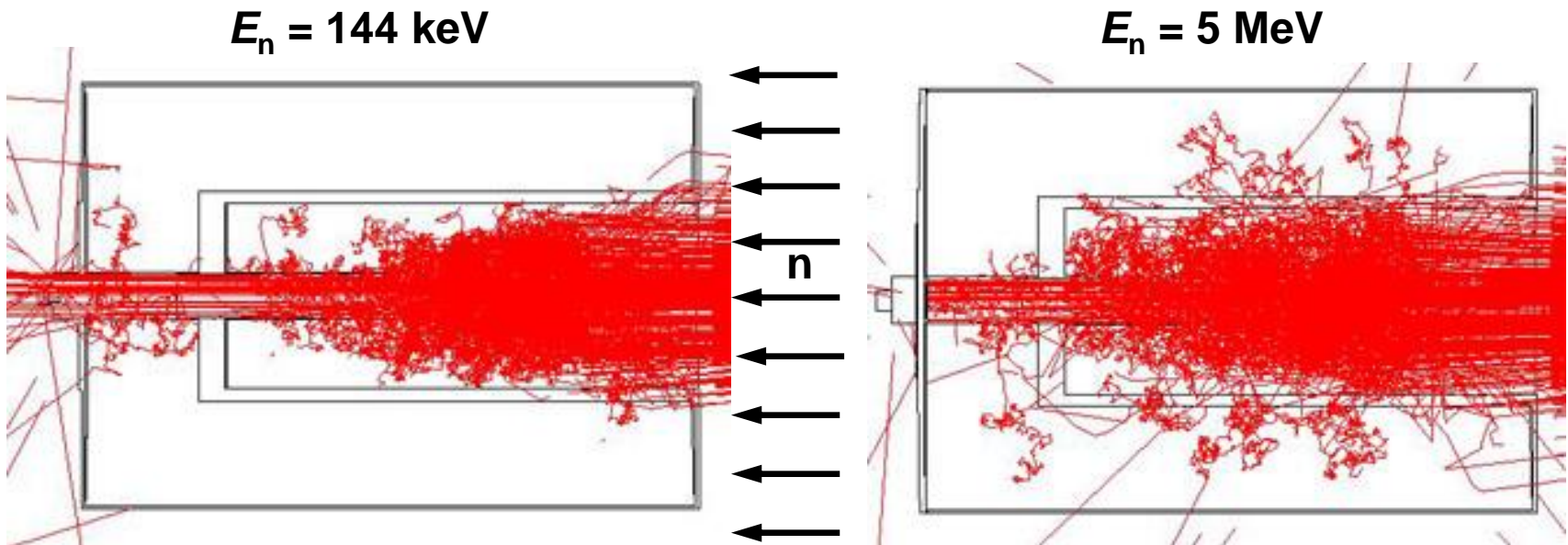
NB: np scattering dominates for $E_n < 20$ MeV

The Long Counter

- Design from the 1950-60s: *Hanson, De Pangher, McTaggart*
- Design principles
 - Thermal shield for directional response
 - Grooves for deeper penetration of low-energy neutrons
 - High sensitivity
- Large device: $l = 44 \text{ cm}$, $\varnothing 38 \text{ cm}$
- Flat response:
 - $E_n = 0.01 - 10 \text{ MeV}$
 - $\delta R_\Phi / R_\Phi \approx \pm 10\%$
- Effective centre $x_0(E)$:
$$\dot{N} \propto \frac{1}{(x + x_0)^2}$$
- Sensitive to room-return but very stable \Rightarrow **ideal monitor**



Monte Carlo Modelling of Long Counters



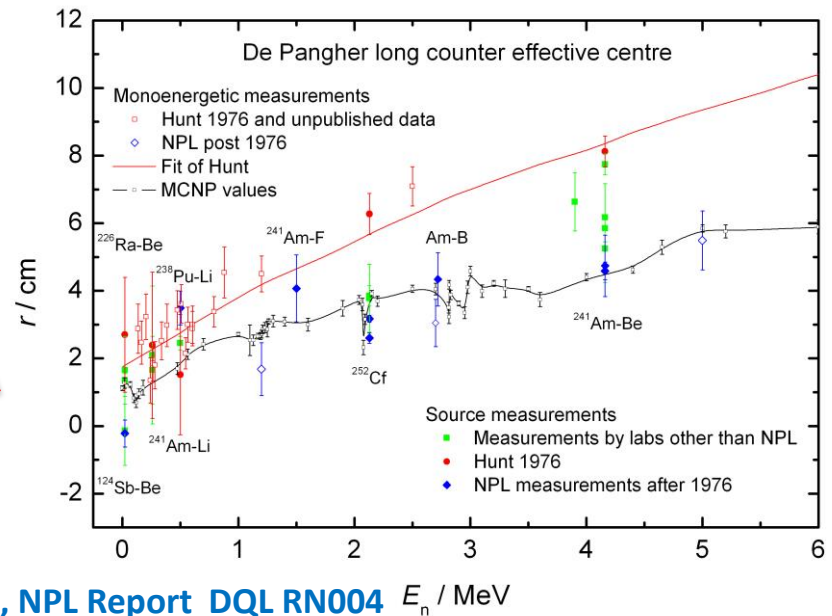
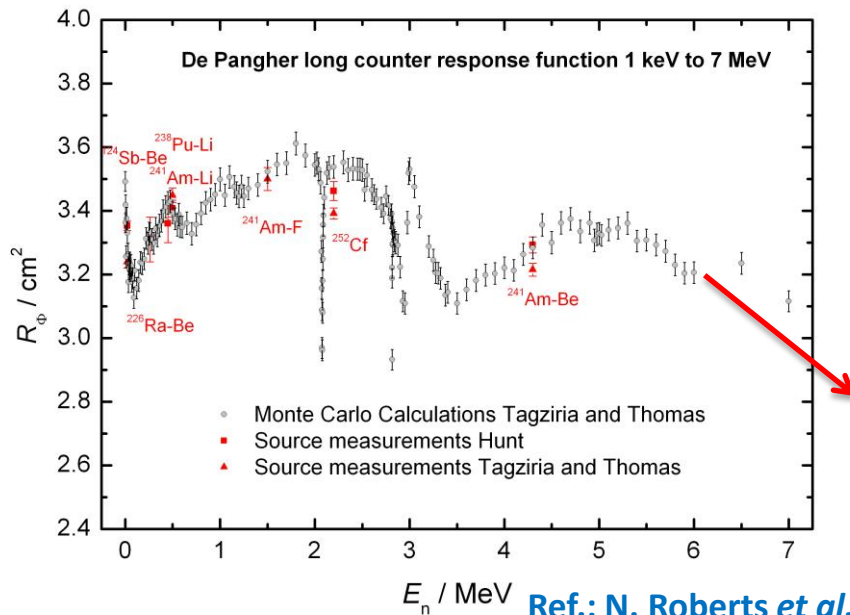
Flat-field irradiation from the right hand side

Only neutron 'tracks' contributing to the response of the thermal detector are shown!

Ref.: N. Roberts *et al.*, NPL Report DQL RN004

- Annular moderator and borated shield protect the inner moderator from neutrons entering from the sides
- Higher energy neutrons penetrate deeper into the moderator

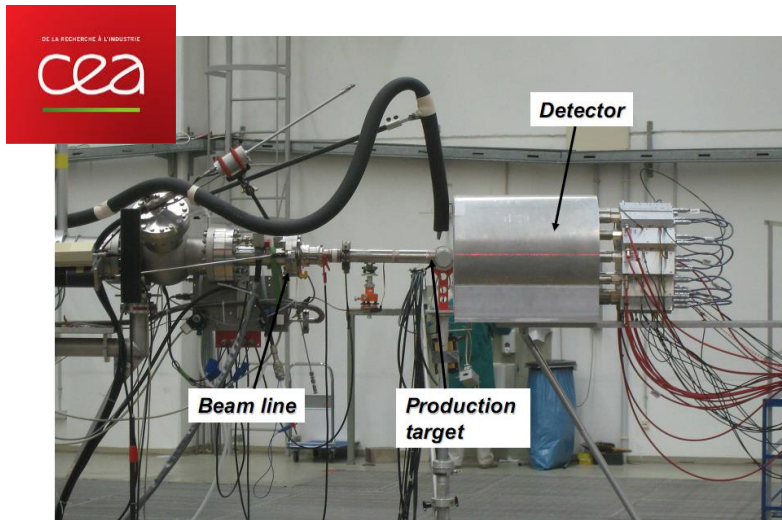
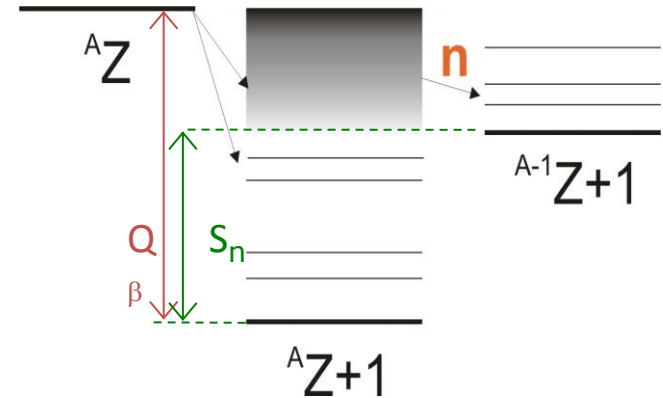
Long Counter: Response and Effective Center



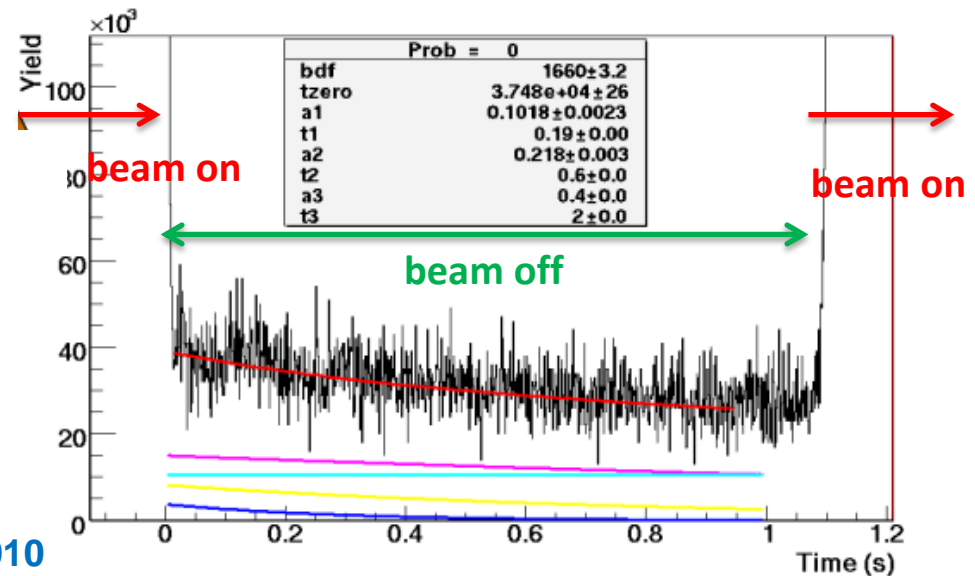
- Calibration with radionuclide sources: **link to activity standard!**
- Overall uncertainty (NPL): $u_R/R_\Phi = 0.014$, $u_{x_0} = 0.63 \text{ cm}$
- Useful energy range: **1 keV – 15 MeV** (de Pangher LC) (w/o carbon resonances)
- Designs with ext. energy range and/or higher sensitivity available

Long Counters for Beta-Delayed Fission Neutrons

- β -del. fission neutrons: $t_{1/2} \approx 0.1 - 100$ s
- PE moderator with ^3He counters
 - Fissionable sample in central channel
 - Neutron detection eff. $\varepsilon > 10\%$
 - Irradiation sequence:
beam on – **beam off and counting**
 - Precursors kept in equilibrium



Ref.: X. Ledoux *et al.*, ERINDA workshop 2010

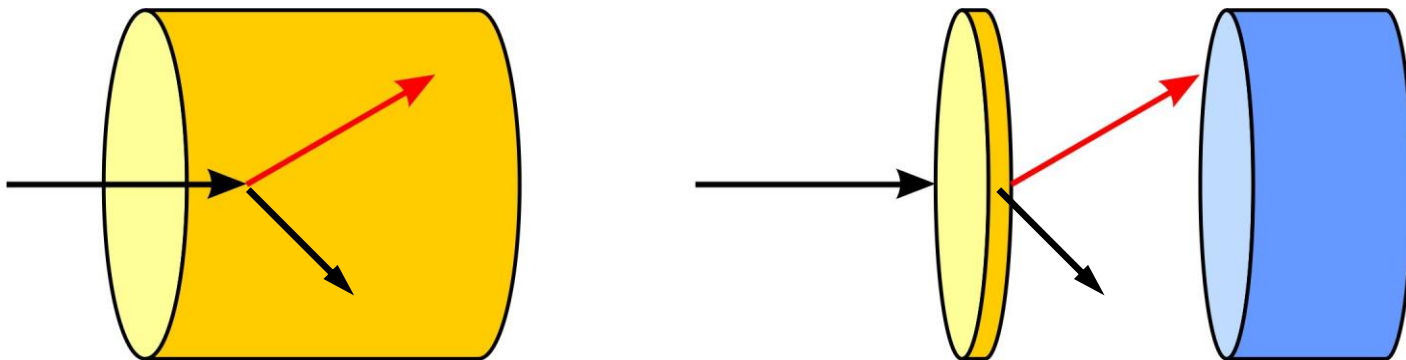


Fast Neutrons: Recoil Detectors

Recoil Detectors: General Principles

Recoil detectors are the working horses of neutron metrology

- Based on elastic scattering: $Q = 0$ MeV
- Most important reaction: ${}^1\text{H}(n,n){}^1\text{H}$
- Differential response determined by $(d\sigma/d\Omega^{\text{cm}})$
- Interference from other constituents and detector properties
- Two approaches for detection of elastic recoils
 - Detector = target: full angular distribution
 - Separate radiator: only backward angles

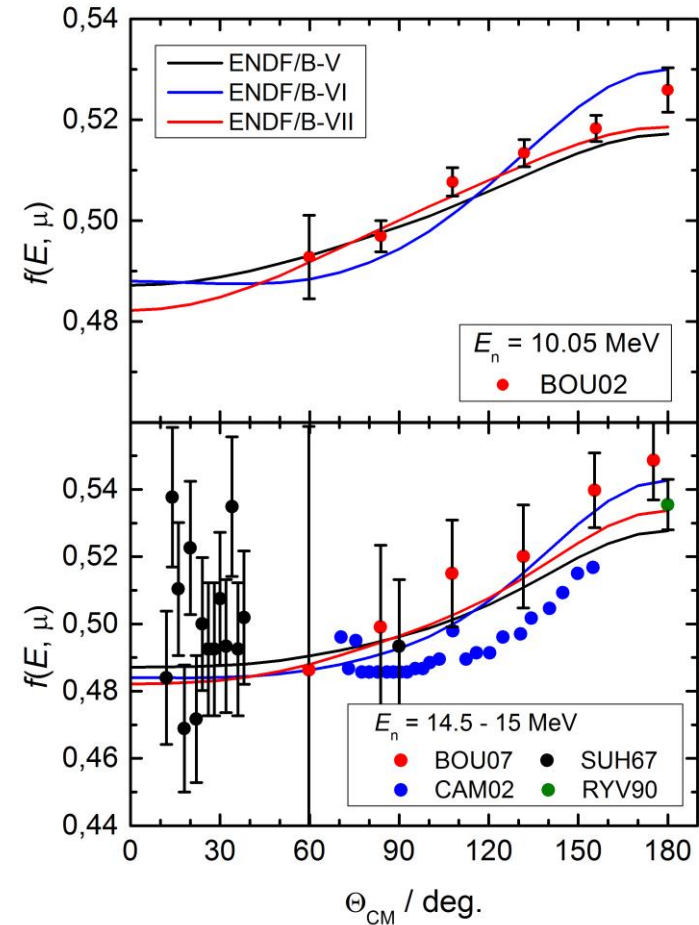
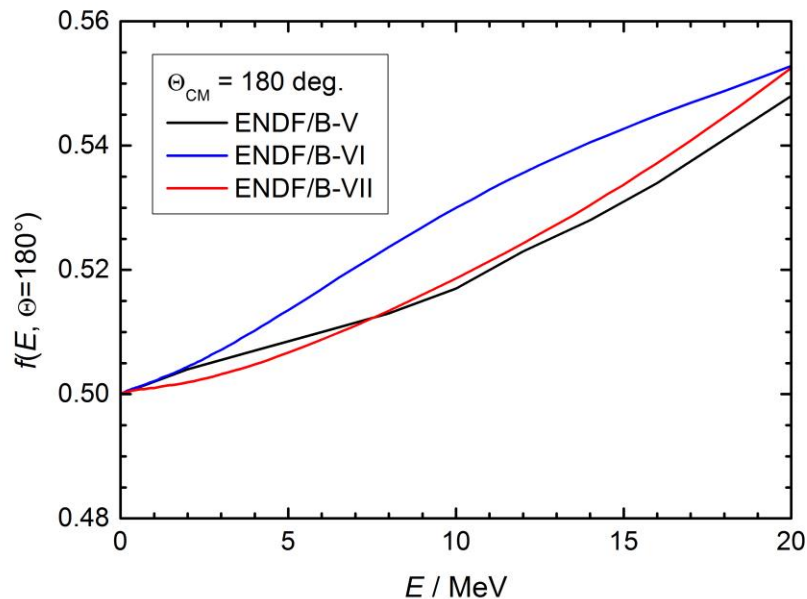


np Scattering: Overview

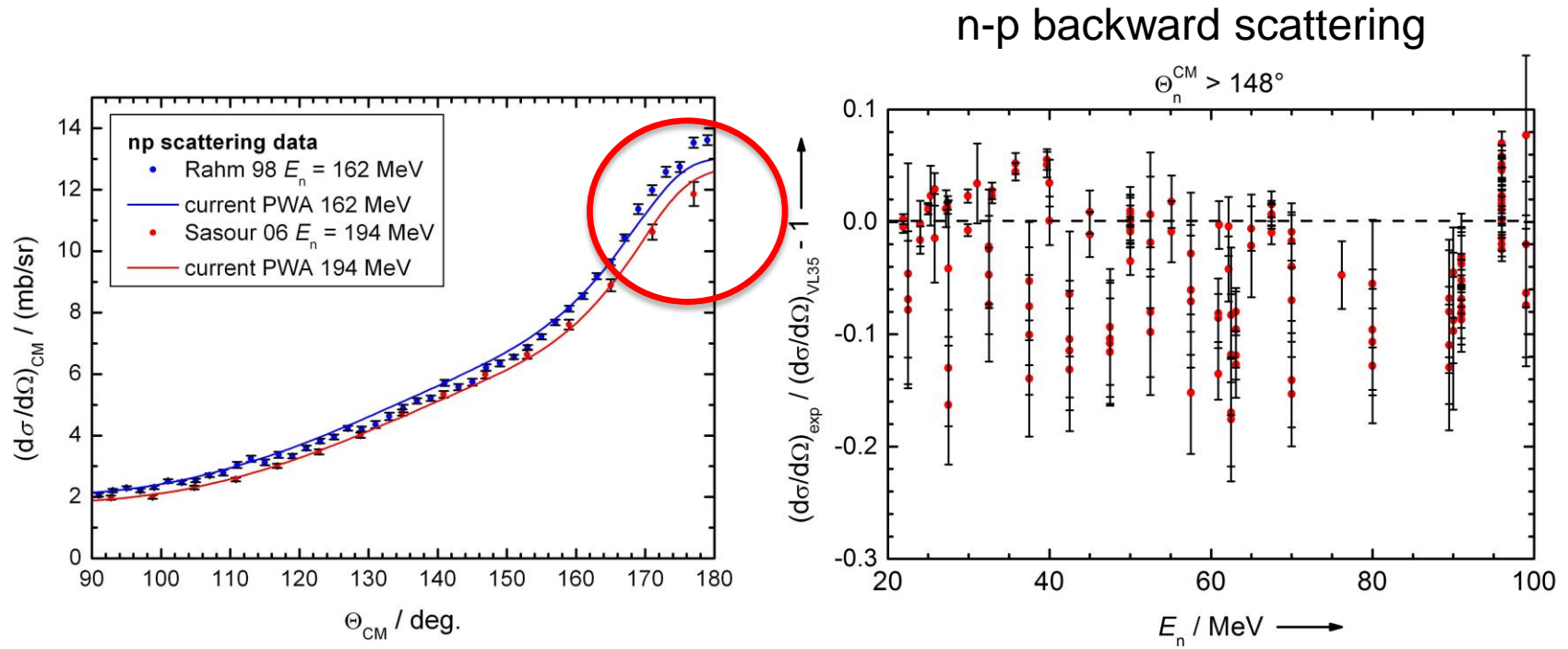
- Total np cross section: $\sigma_{\text{tot}} \approx \sigma_{\text{np}}$
- Relative measurements at LANSCE: 5 - 500 MeV
Abfalterer et al. (2001), **uncertainty < 1%**
- Differential np cross section: $(d\sigma/d\Omega)$
relative angular distributions, normalization to σ_{tot}
 - Analytical fit to exp. data: Gammel formula (1960)
 - Phase-shift analysis: Hopkins-Breit (1970) → ENDF/B-V
 - *R*-matrix analysis: Dodder-Hale (1991) → ENDF/B-VI
Dodder-Hale (2006) → ENDF/B-VII
- Important for metrology:
Backward scattering $(d\sigma/d\Omega)_{\text{CM}}(180^\circ)$

Differential Neutron-Proton Scattering Cross Section

- only minor changes to σ_{el}
uncertainty 0.3% - 0.5% ($E < 20$ MeV)
- $(d\sigma_{\text{el}} / d\Omega_{\text{cm}})$ isotropic
up to about 3 MeV
- 2 % changes for $(d\sigma/d\Omega)$
from ENDF/B-V to B-VI



np Scattering above 20 MeV



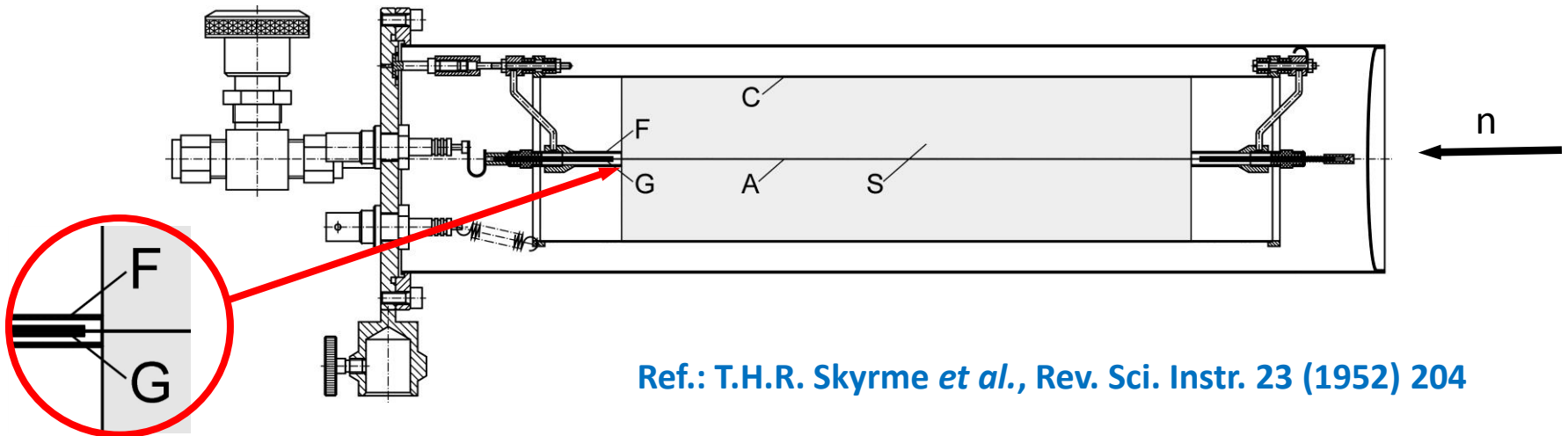
- recommend phase shift analysis: **VL40**
- not many new np data: TSL, IUCF, PSI
- no uncertainties given: **‘about 5%’**

Recoil Detectors: Proportional Counters

Recoil Proportional Counters

- Strong quenching for low-energy recoil in organic scintillators:
 $L/E = 0.08$ for 100 keV p in BC501A
 - Ranges of recoil particles in solids become very small:
 $R = 1.4 \mu\text{m}$ for 100 keV p in PE
- ⇒ Gaseous detectors for detection of low-energy recoils**
- Complications:
 - design more complicated (el. field, surface treatment, cleanliness)
 - need for high-vacuum and gas filling systems
 - wall effects important
 - large non-constant rise-time ⇒ not well-suited for TOF
 - Interference from photons and ^{12}C recoils
 - Pioneering work of E.F. Bennet *et al.* from the **1950's - 1070's**

The PTB Proportional Counter P2

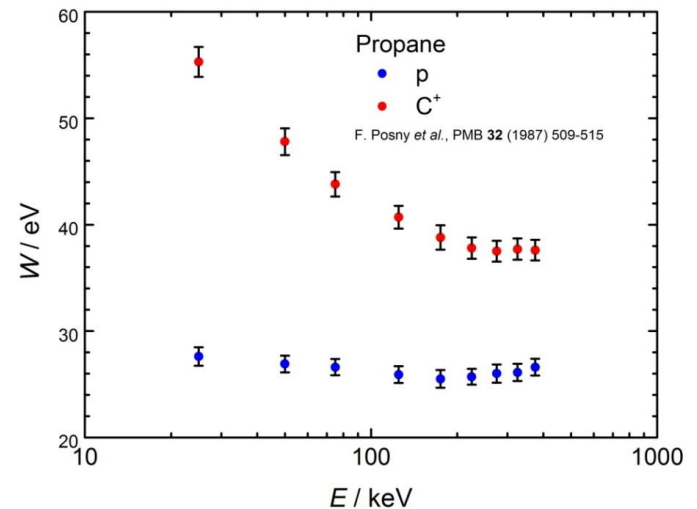
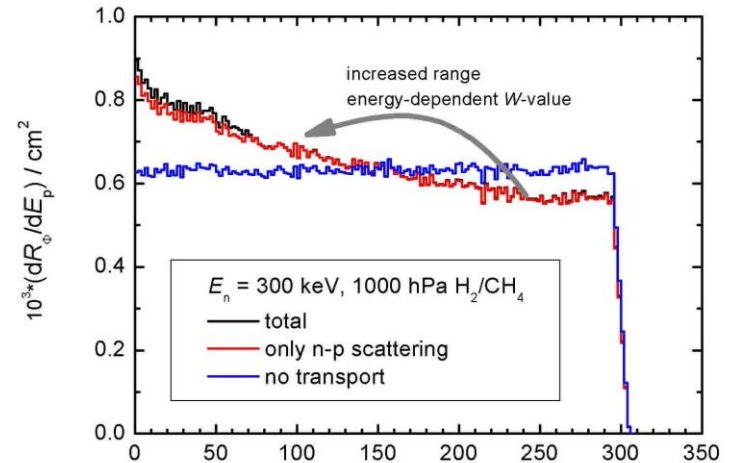
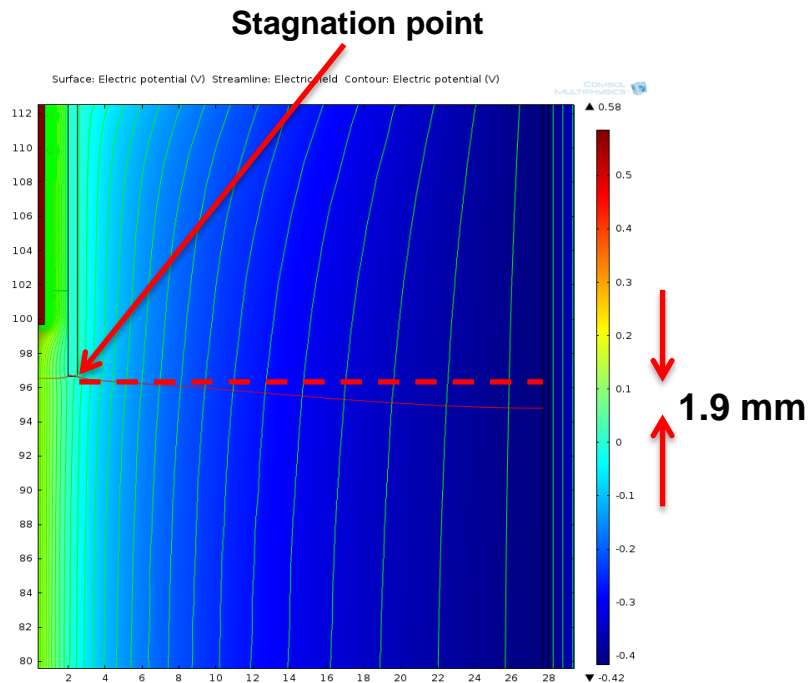


- total volume: $\approx 1.6 \text{ dm}^3$
- active volume: $\varnothing 55.5 \text{ mm}$, $l = 193.3 \text{ mm}$
- el. field: defined by $\varnothing 4 \text{ mm}$ field tubes at ground potential
- anode: $\varnothing 100 \text{ }\mu\text{m}$ gold-plated tungsten wire (selected)
- counting gas: H_2/CH_4 (3.5 vol.%), C_3H_8
- energy range: 20 keV – 2 MeV

Modelling of the RPPC Response to Neutrons

MC modeling required to describe finite-size and gas-related effects

- incomplete energy deposition
- energy-dependent W -value
- carbon recoils included
- shape of the sensitive volume



Recoil Detectors: Scintillation Detectors

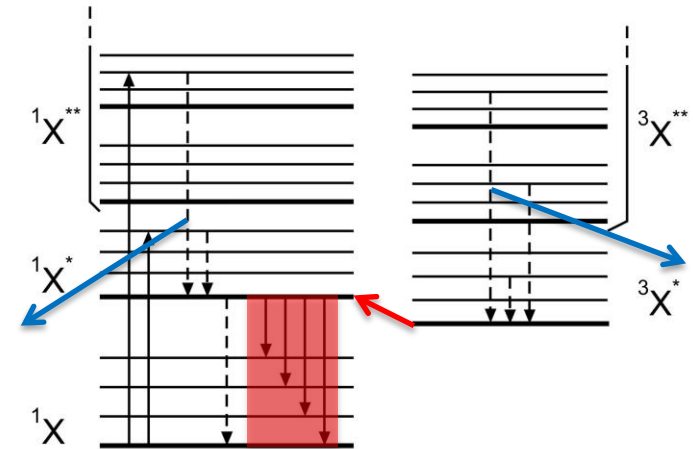
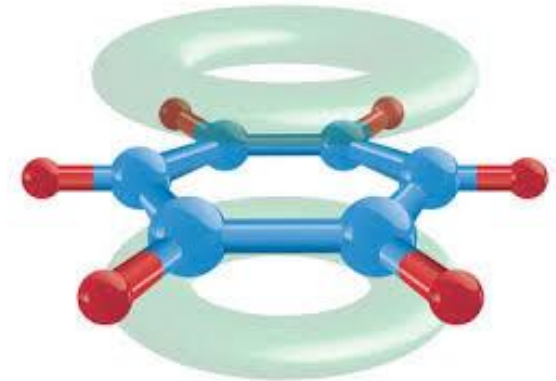
The Physics of Organic Scintillators

Unitary scintillators:

- Benzene ring: delocalized π orbitals
- Singlett (1X , $^1X^*$, $^1X^{**}$) and triplet ($^3X^*$, $^3X^{**}$) states

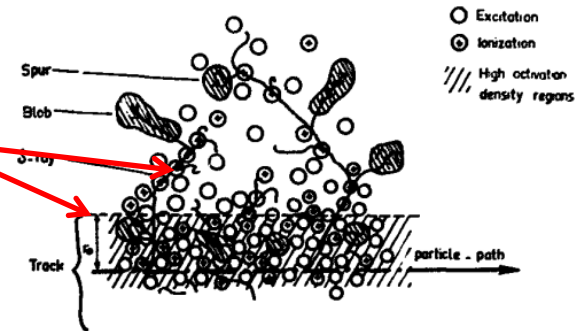
Principal physical processes:

- Excitation by electron impact, ion-ion recombination, ...
- Non-rad. efficient internal degradation
 $^1,3X^{**} \rightarrow ^1,3X^* + \text{phonon}$
drain via competing channels:
quenching states
- Rad. decay $^1X^* \rightarrow ^1X$:
prompt fluorescence: $\tau = 1 - 80 \text{ ns}$, $\lambda_{\text{fluor}} > \lambda_{\text{abs}}$
- Rad. transition $^3X^{**} \rightarrow ^1X^*$ forbidden
- Coll. deexc. $^3X^* + ^3X^* \rightarrow ^1X^* + ^1X + \text{phonon}$:
delayed non-exp. fluorescence: $\tau > 300 \text{ ns}$



Ionization Quenching and Pulse-Shape Discrimination

- Increased ionization density:
 - More ion-ion recombination
 - **Ratio of $^1X^{**}$ and $^3X^{**}$ excitations increases**
 - Temporal concentration of transient quenching states ($\tau \leq 100$ ps) decreases

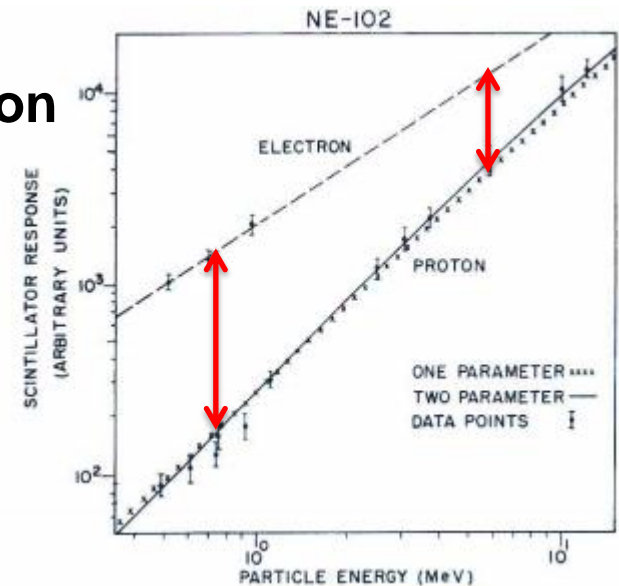


⇒ **Delayed fluorescence less dependent on dE/dx than prompt fluorescence**

- Light yield $dL(E)/dx$ is a non-linear function
Semi-empirical formulas (Birks *et al.*):

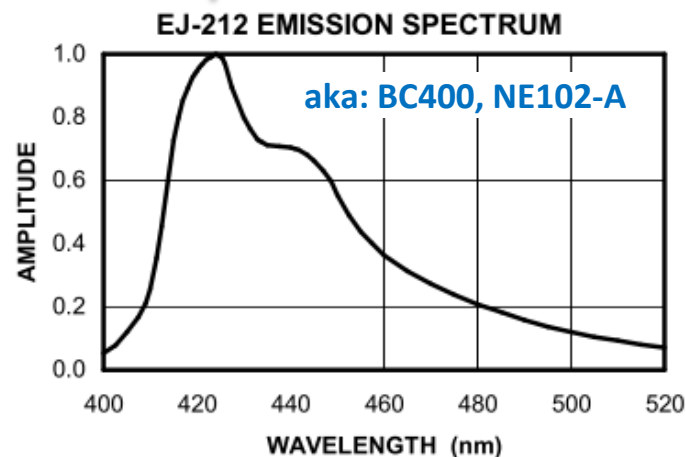
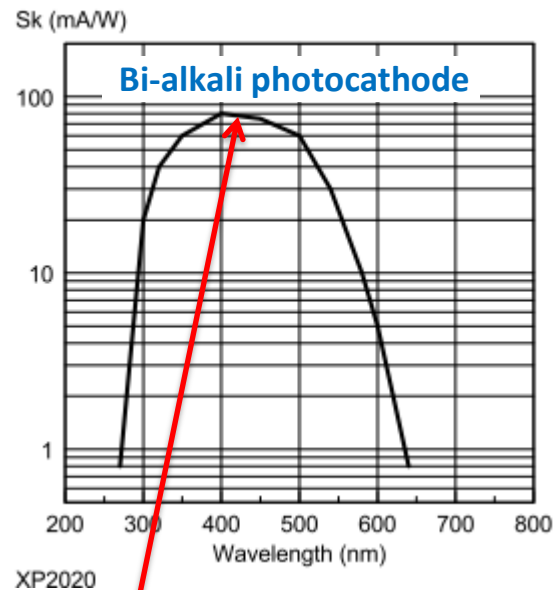
$$\frac{dL}{dx} = \frac{S dE/dx}{(1 + kB dE/dx + \dots)}$$

- Scint. decay depends on dE/dx :
⇒ **pulse-shape discrimination of particle species (Z , A)**



Liquid and Plastic Scintillators

- **Typical unitary scintillators:**
 - Stilbene (1,2-Diphenylethene $C_{14}H_{12}$)
 - **Anthracene** ($C_{14}H_{10}$): 'gold' standard for scint. efficiency
- **Binary or ternary scintillators**
 - Solvent X: Benzene (C_6H_6),
 n -Methylbenzene ($C_6H_{6-n}(CH_3)_n$),
Styrene [$C_6H_5 \cdot C_2H_3$] $_n$,
 - Solutes Y_i : PPO, POPOP, bis-MSB,
 - Lower excitation energy: $E_{Y^*} < E_{X^*}$
- **Prim. processes as in unitary scintillators** $\rightarrow {}^1X^*, {}^3X^*$
- **Energy transfer to solutes**
 ${}^1X^* + {}^1Y \rightarrow {}^1X + {}^1Y^*$ (rad., non-rad.)
 ${}^3X^* + {}^1Y \rightarrow {}^1X + {}^3Y^*$ (non-rad.)
 \rightarrow **rise, decay times**
- **Secondary solute: wavelength shifter**

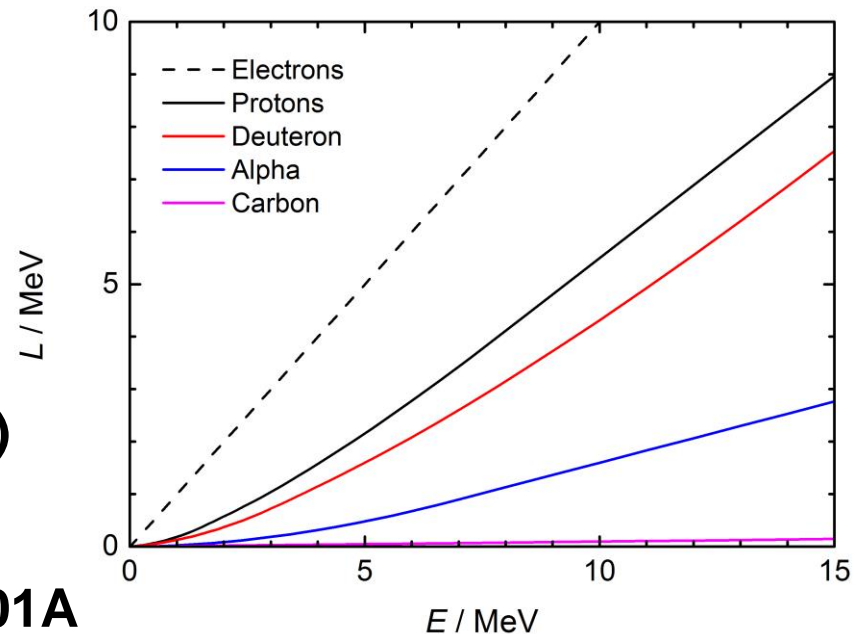


Light Output of Organic Scintillators

- Light Output calculated from Birks' parameterization:

$$L(E) = \int_0^E \frac{S \cdot (dE/dx)}{1 + kB \cdot (dE/dx)} \left(\frac{dE}{dx} \right)^{-1} dE$$

- Weak ionization: $L(E) = S \cdot E$
- Dense ionization: $L(E) = \frac{S}{kB} R(E)$
- Electrons: $L_e(E) = S_e \cdot (E - E_0)$
 $S_e := 1 \text{ MeV}^{-1}$, $E_0 \approx 5 \text{ keV}$ for BC501A
- Also higher-order formulas are approximations!
- **Note:**
 - Experimental data include instrumental effects!
 - Electrons produce Cherenkov radiation for $\beta > n^1$:
 $E_e > 170 \text{ keV}$ in BC501A



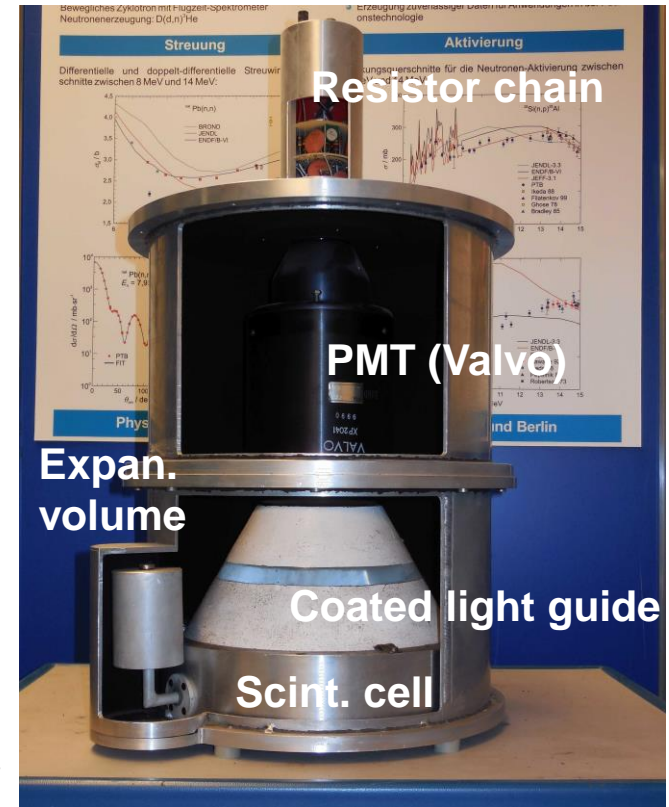
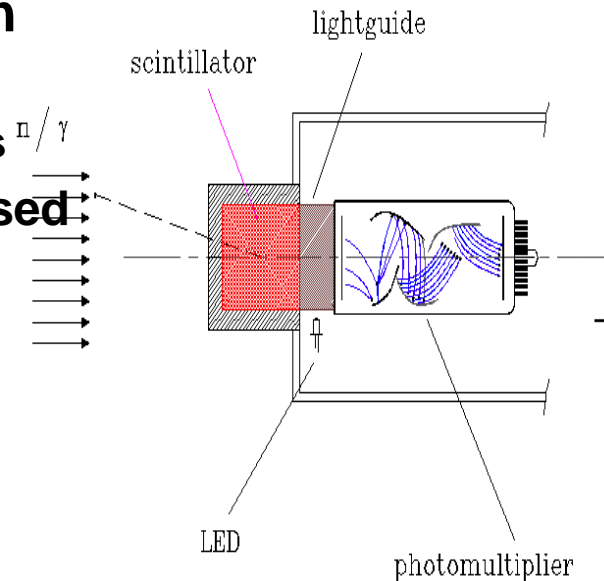
Properties of Organic Scintillators

	plastic scint.	liquid scint.
1. Hydrogen / carbon ratio	≈ 1.1	$\approx 0, 1.2 - 2.0$
2. Scintillation efficiency	55 – 65 %	40 – 80 % anthracene
3. Scintillation spectrum λ_{\max}	370 – 490 nm	≈ 425 nm
4. Transparency	1 - 4 m	
5. Decay times	1.4 – 3 ns, 230 ns	2 – 4 ns
6. Pulse-shape discrimination	(yes)	yes
7. Doping for thermal sensitivity	yes	yes



Components of a Liquid Scintillation Detector

- **Scintillator cell + expansion volume**
- **Light guide (reflective coating)**
- **PMT with μ -metal shield**
- **High voltage supply**
 - resistor chain + decoupling capacitors
 - transistorized low-power dynode supplies
- **Gain stabilization**
 - Count rate drifts
 - Temperature drifts π/γ
 - ⇒ **LED or laser-based systems**



**Prototype FD detector:
12"×2" NE213**

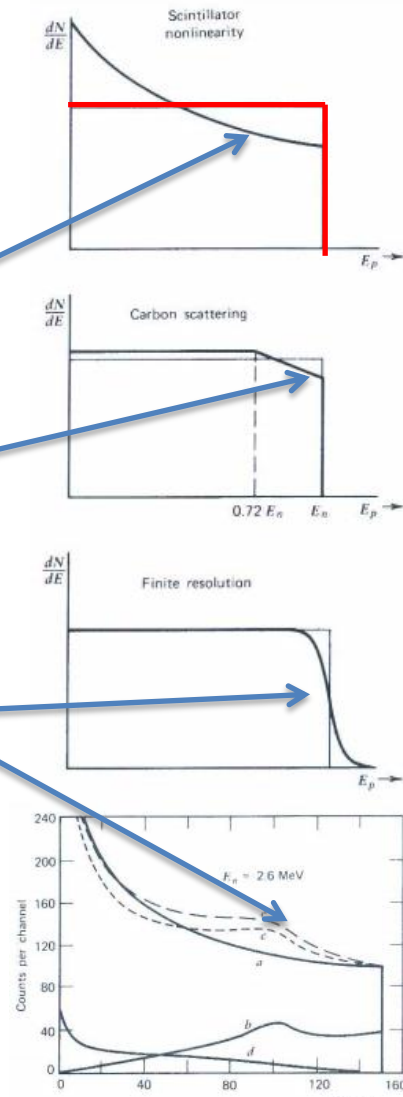
Response of Organic Scintillation Detectors

- Elastic n-p scattering cross section dominates: $dN/dL = \text{const}$ for $L < E_n$

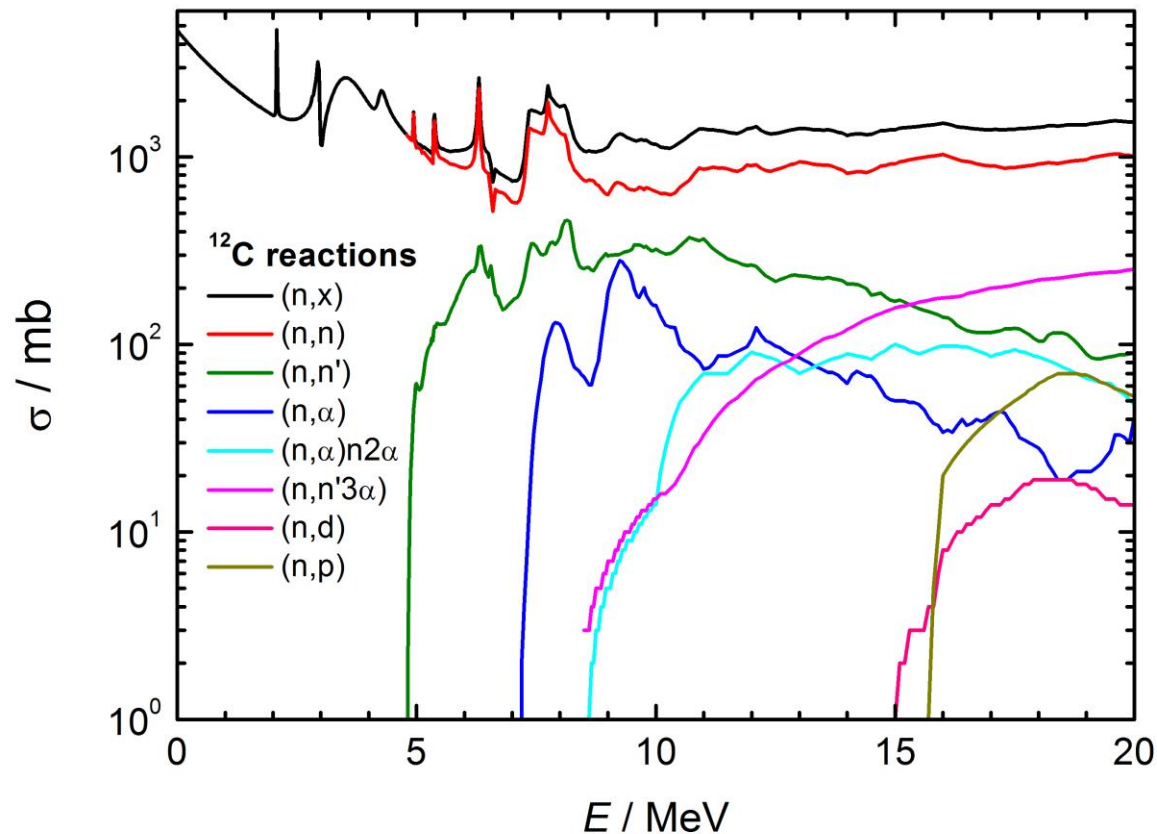
Modification of the rectangular shape:

- Non-linear light output: $L \propto E^{3/2}$
 $\Rightarrow dN/dL = (dN/dE) \cdot (dL/dE)^{-1} \propto L^{-1/3}$
- n- ^{12}C scattering: $\Delta E_n < 0.28 \cdot E_n$
- Multiple n-p scattering: $\Sigma L(E_{p,i}) < E_n$
- Finite pulse-height resolution
- $^{12}\text{C}(n,x)$ reaction:
 Q value for $^{12}\text{C}(n,n',\gamma)$: 4.4 MeV

\Rightarrow Simulated using Monte Carlo techniques!



$^{12}\text{C}(n,x)$ Reactions for $E_n < 20$ MeV

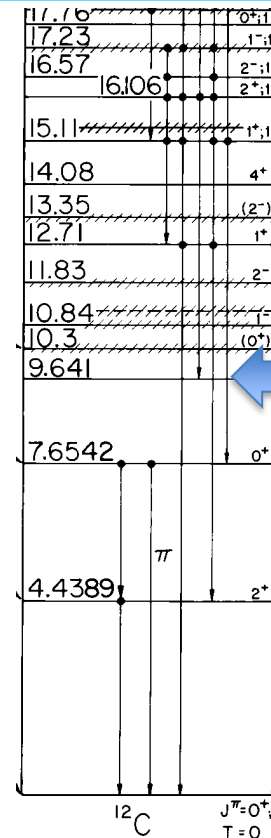
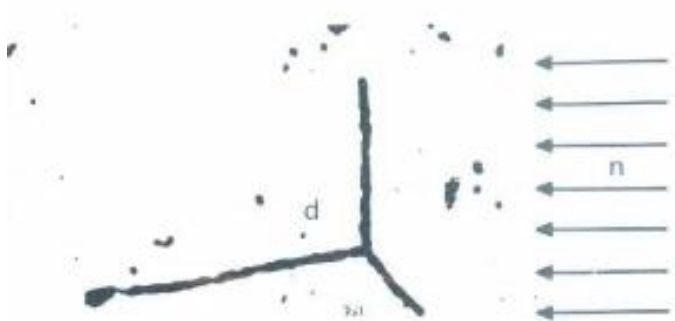


$E_n < 15$ MeV: only scattering and alpha emission!

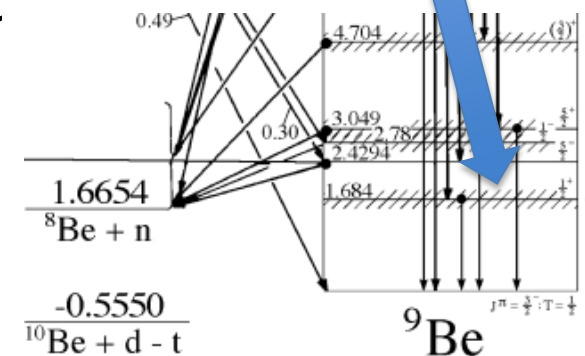
Break-Up Reactions

$E_n < 20$ MeV: $^{12}\text{C}(n,n'3\alpha)$

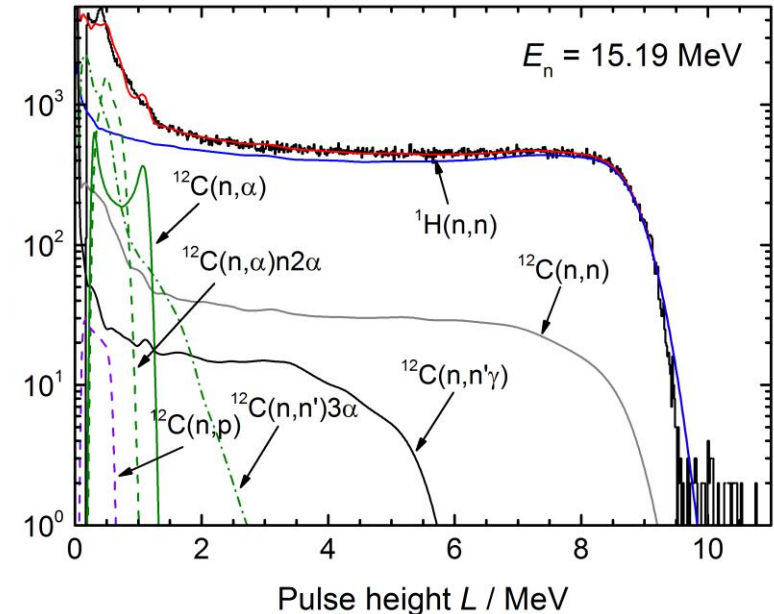
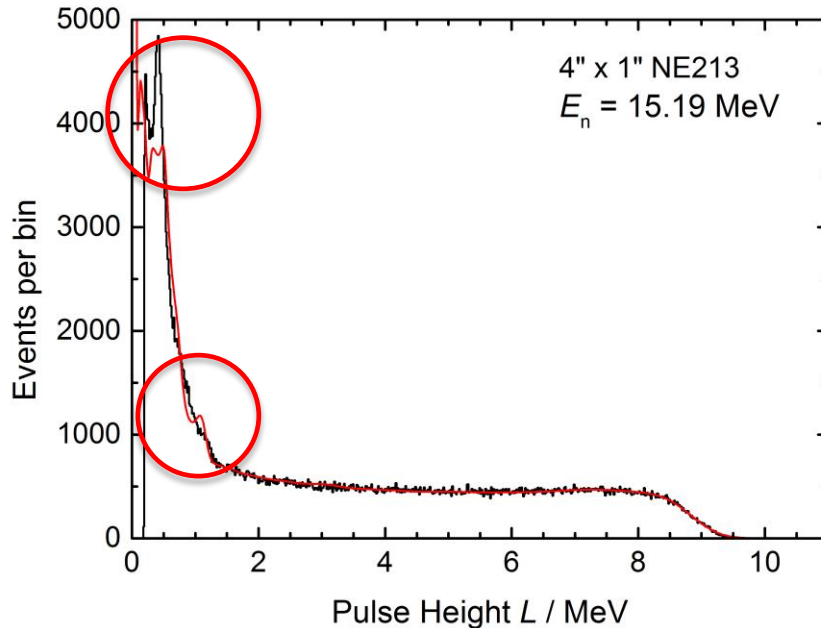
- **Four-body break-up with several channels**
- **Investigated using nuclear emulsions and liquid scintillation detectors**
- **Still insufficient data for MC codes**
 - **NRESP7**
 - **Geant4 (data base from CIEMAT)**



reaction	Q-value MeV
$^{12}\text{C}(n,n)^{12}\text{C}$	-
$^{12}\text{C}(n,n')^{12}\text{C}^*$	-4.439
$^{12}\text{C}(n,\alpha)^9\text{Be}$	-5.71
$^{12}\text{C}(n,\alpha')^9\text{Be}^* \rightarrow$	-8.13
$n + ^8\text{Be} \rightarrow 2\alpha$	-7.65
$^{12}\text{C}(n,n')^{12}\text{C}^* \rightarrow$	-9.63
$\alpha + ^8\text{Be} \rightarrow 2\alpha$	-10.80
	11.80
	12.70
$^{12}\text{C}(n,p)^{12}\text{B}$	2.61
$^{12}\text{C}(n,d)^{11}\text{B}$	7.73
$^{12}\text{C}(n,2n)^{11}\text{C}$	7.72
$^{12}\text{C}(n,pn)^{11}\text{B}$	1.96



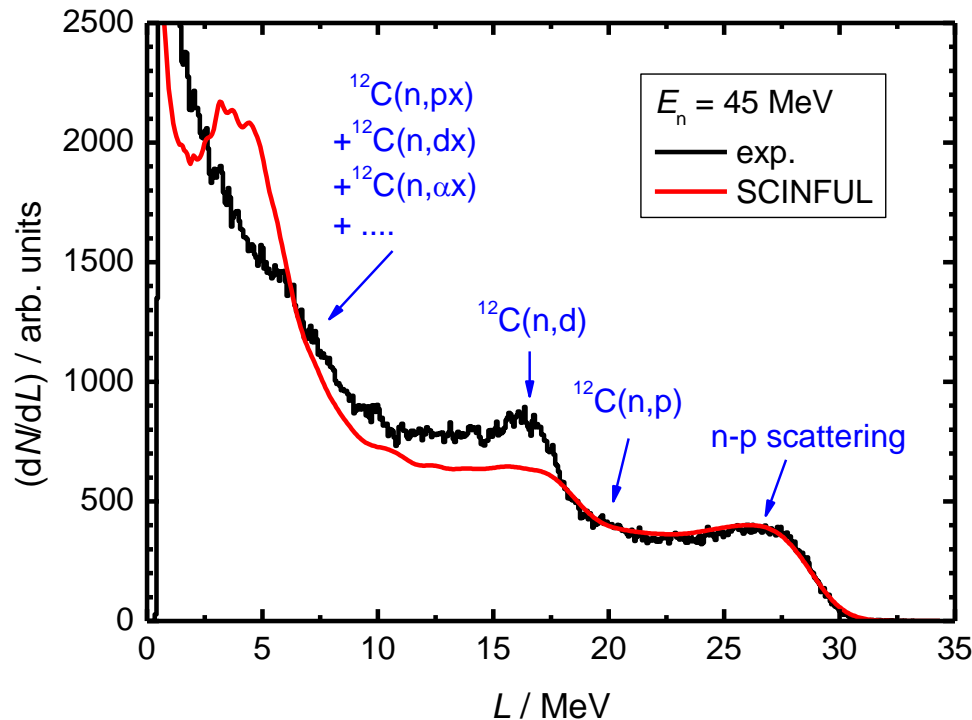
Example: 2"x2" BC501A Detector at $E_n = 15$ MeV



- Simulation using NRESP7, similar results with SCINFUL
- Generally good agreement for $E_n < 16$ MeV, but description of α emission channels still problematic!
- Partial spectra can be sorted by first interactions
- Pulse-height spectra used to determine $^{12}\text{C}(n, \alpha)^9\text{Be}$ cross section!

Ref.: H.J. Brede *et al.*, NSE 107 (1991) 22

Response for $E_n > 20$ MeV

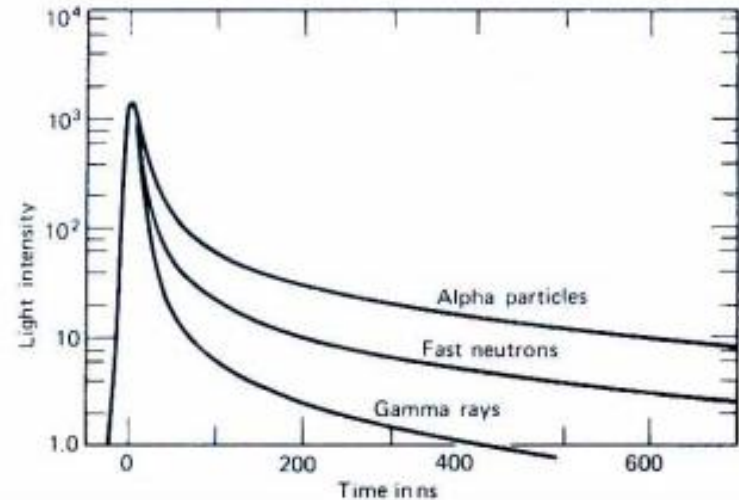


Response dominated by n- ^{12}C interaction:

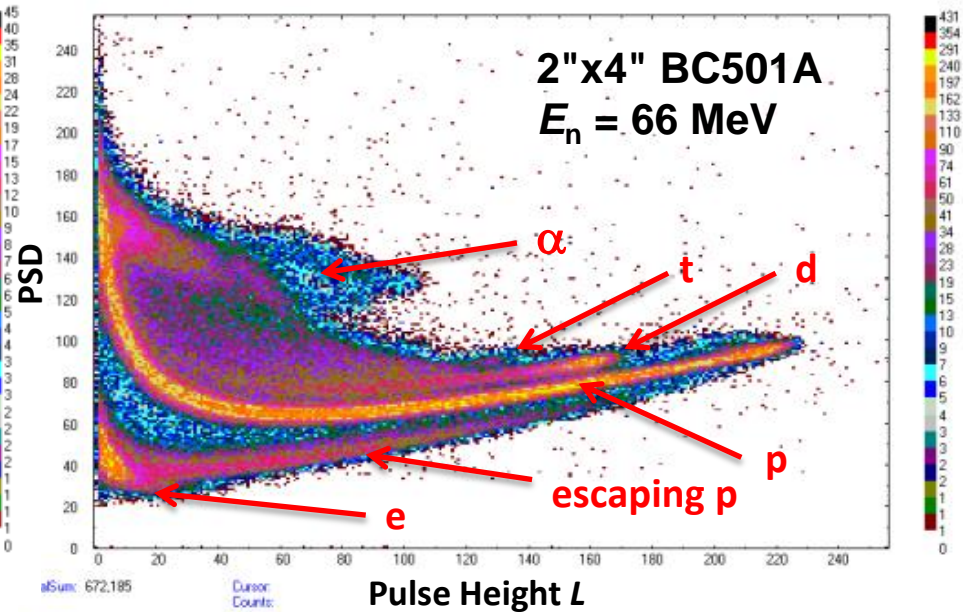
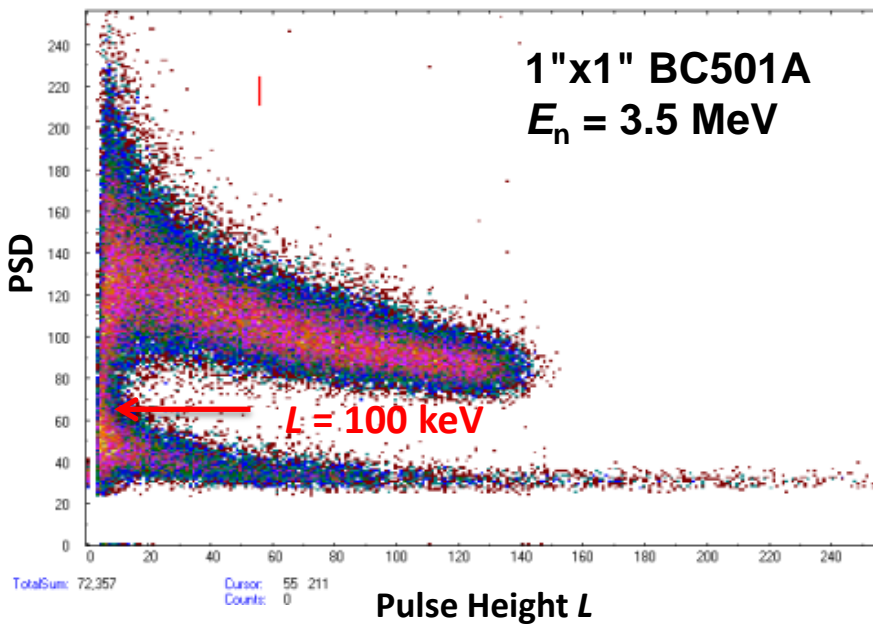
- **Strong contributions from break-up reactions:**
⇒ correlation of charged particles from individual interactions!
- **Data libraries (ENDF, JEFF) have only emission tables:**
⇒ general-purpose MC codes are not adequate: MCNPX, Geant4

Pulse-Shape Discrimination (PSD)

- PSD properties depend on:
 - Neutron energy
 - Detector size
 - Multiple scattering
 - Scintillator composition (oxygen, impurities)
- Discrimination of neutron and photon-induced events
 - Ambient photons: background reduction!
 - Delayed gammas
 - Suppression of response induced by $^{12}\text{C}(n,n'\gamma)$
- PSD yields Z/A information: particle identification
- Techniques:
 - Analogue $RC(CR)^2$ shaping \rightarrow zero crossing
 - Analogue or digital integration: Q_{short} vs. Q_{long}
 - Fit of the waveform
- PSD has limited dynamic range: **difficult for $L < 500$ keV**



PSD Examples



PSD: analogue $RC(CR)^2$ technique

- Many older MC codes do not include the $^{12}\text{C}(n,n'\gamma)$ channel.
- ⇒ Photon-induced events must be excluded
- Problem: Separation of photon-induced and proton escape events

Pulse-Height Resolution

- Pulse-height resolution depends on

- Light collection: **A**
- Photoelectron statistics: **B**
- Electronic noise: **C**

$$\frac{\Delta L}{L} = \sqrt{A^2 + B^2/L + (C/L)^2}$$

- Elongated cells for high-energy neutrons:

- Long tracks
- **A depends on neutron energy E_n**

- Optimisation important for spectrometry

- Small cells (diameter \approx depth)
- Partially coated light guides

- Unfolding: **$\Delta E_n/E_n \approx 0.2 \cdot \Delta L/L$**

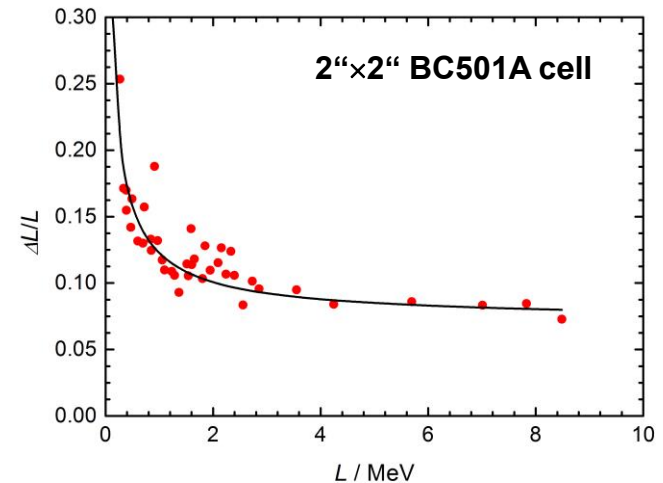


Fig. 2

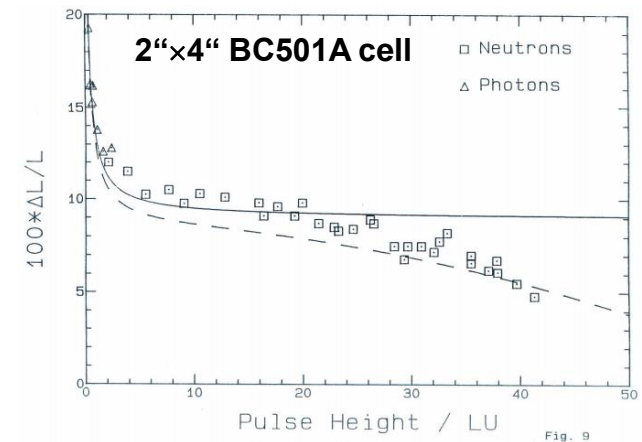
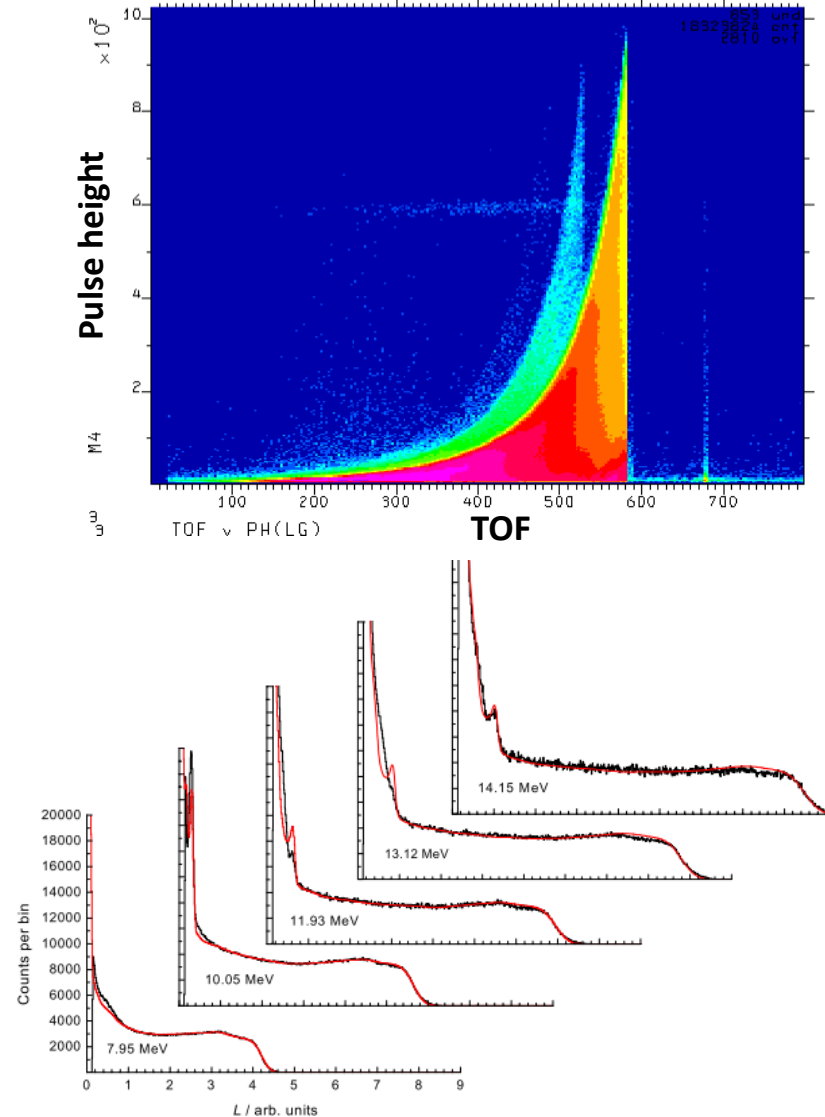


Fig. 9

Experimental Characterization of Detectors

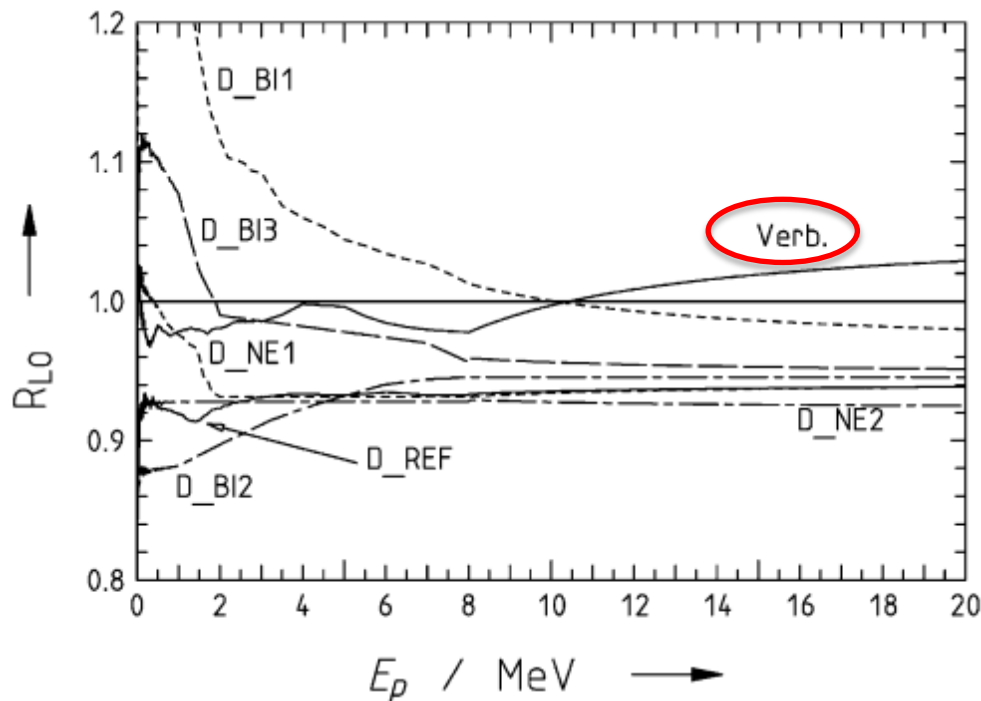
- Experimental data to be measured for each detector:
 - Pulse-height resolution
 - Light output function
 - Response matrix (normalized to n-p scattering)
- Suitable neutron beams:
 - Monoenergetic: time consuming!
 - ‘White’ (Be+p, C+p, D+d):
 E_n selection via TOF
 - TCAP: ‘absolute’ measurements
- Normalization in the n-p part:
response matrix: $(dR_{\Phi}/dL)(E_n)$
- This works up to **60-70 MeV**



Results

Investigation of a set of NE213/BC501A detectors

- LO: up to 10% deviation from ref. data
- R_Φ : up to 4% rescaling of calculated response functions



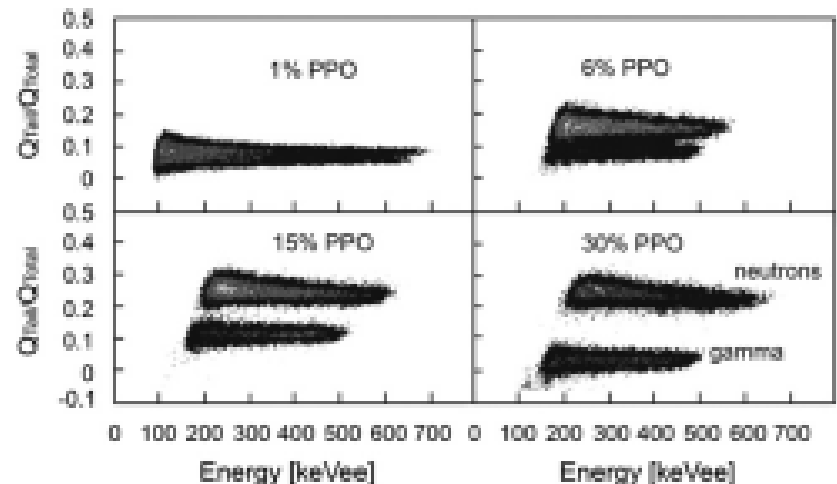
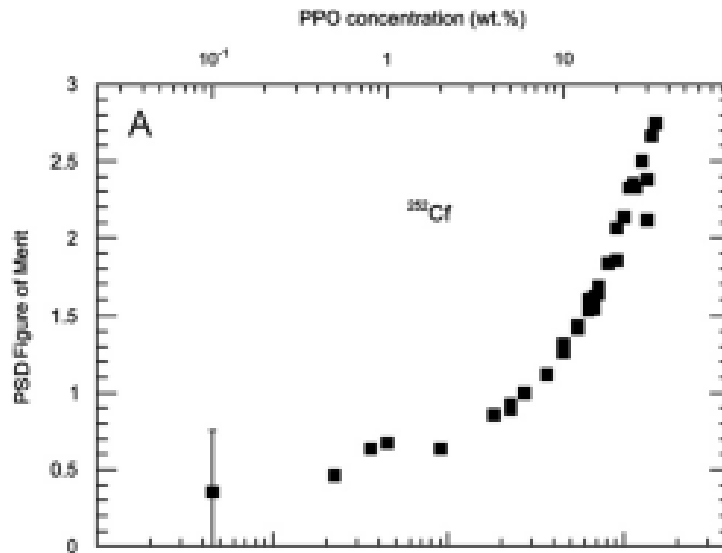
Re-normalization factors for NRESP7 response functions for monoenergetic neutrons

Detector	Diff. to unity (%)
D_NE1	$+0.3 \pm 1.3$
D_NE2	$+0.0 \pm 0.9$
D_BI1	$+1.2 \pm 0.6$
D_BI2	$+4.7 \pm 1.6$
D_BI3	$+1.3 \pm 0.8$

Ref.: D. Schmidt *et al.*, NIMA476 (2002) 186-189

Recent Developments: PSD with Plastic Scintillators

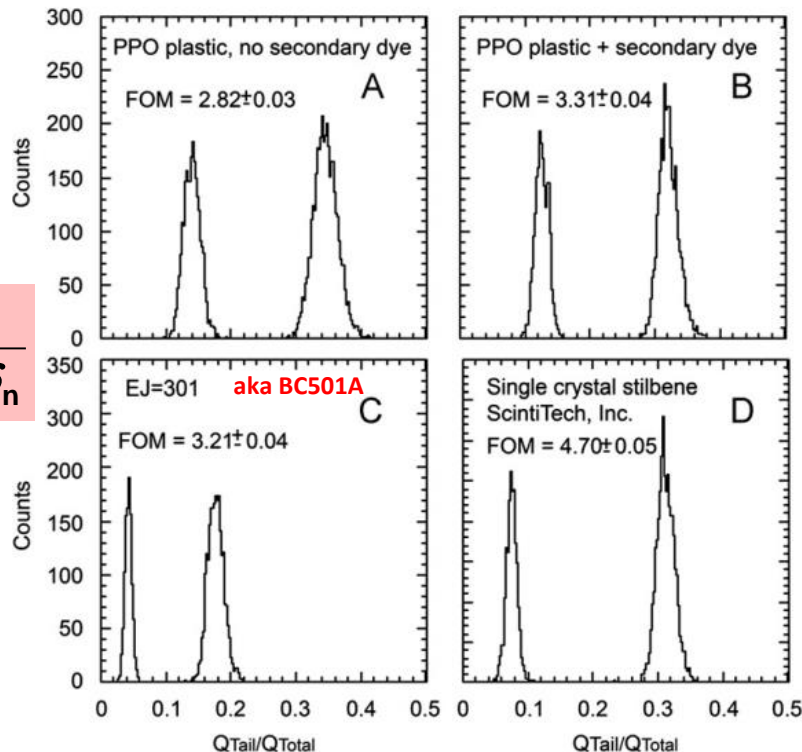
- Liquid and plastic scintillators: binary or ternary systems
 - Properties determined by primary solute system:
PSD: $^3Y^* + ^3Y^* \rightarrow ^1Y^* + ^1Y$
 - Liquid scintillator: strong molecular diffusion of $^3Y^*$
 - Plastic scintillator: long-range dipole – dipole interactions required
this process is only effective at higher Y concentrations
- ⇒ **Increased concentration of primary solvent could improve PSD**



Ref.: N. Zaitseva *et al.*, NIMA668 (2012) 88.93

Commercial Plastic Scintillator with PSD: EJ299-33

$$\text{FOM} = \frac{S_{\gamma,n}}{\delta_{\gamma} + \delta_n}$$



Ref.: N. Zaitseva *et al.*, NIMA668 (2012) 88.93

- PSD properties as good as for liquid or crystal scintillator
- Secondary solute improves QE
- Practical advantages: **non-toxic, non-flammable, no container, all shapes, sizes ≤ 15 cm**

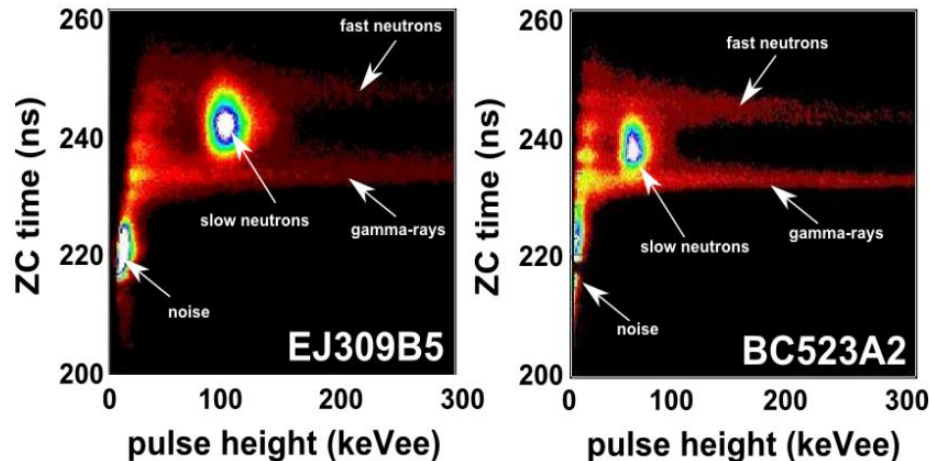
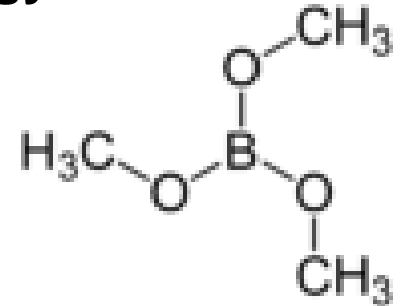
Boron-Loaded Liquid Scintillators

- Main disadvantage of organic scintillators: **strong quenching**

⇒ Boron doping increases sensitivity to low energy neutrons:



- Up to 4.5 % (wt.) B loaded as $\text{B}(\text{OCH}_3)_3$
- Commercially available, e.g.: **EJ309B**, **BC523A**
- Dopant influences light output and PSD!



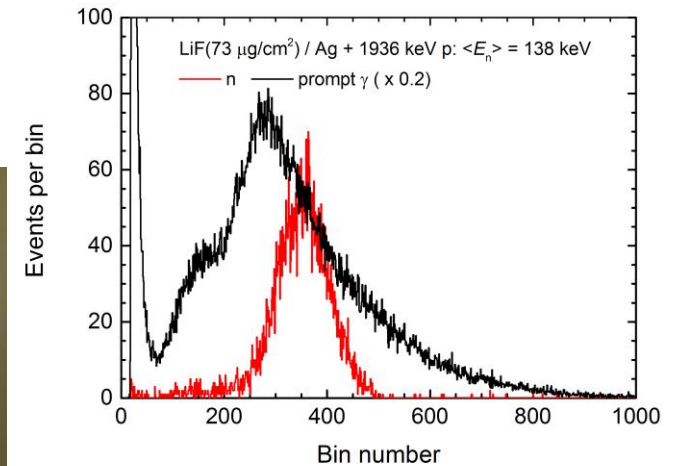
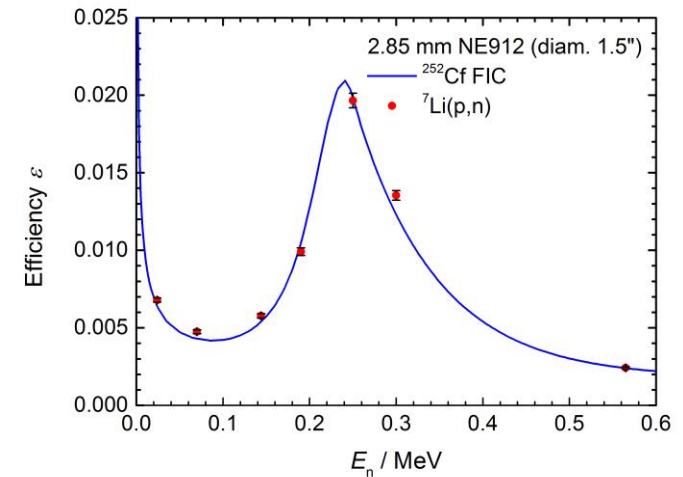
Ref.: J. Iwanowska *et al.*, JINST 7 (2012) C4004 (FNDA2011)

- Same technique applicable for ^6Li and ^{157}Gd
- ^{10}B -loaded plastic scintillators available as well: **BC454**

Inorganic Scintillators: ^6Li Glass

Ce^{3+} activated lithium silicate glass

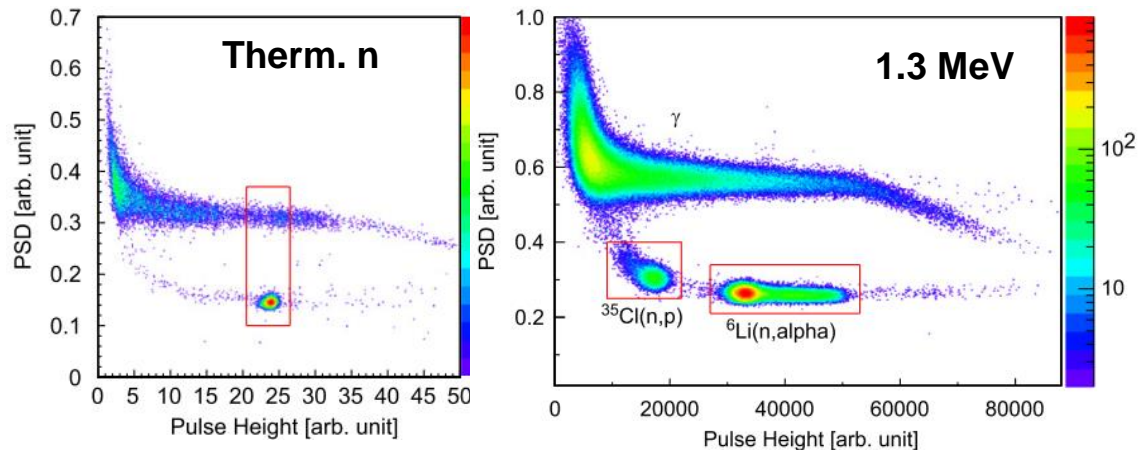
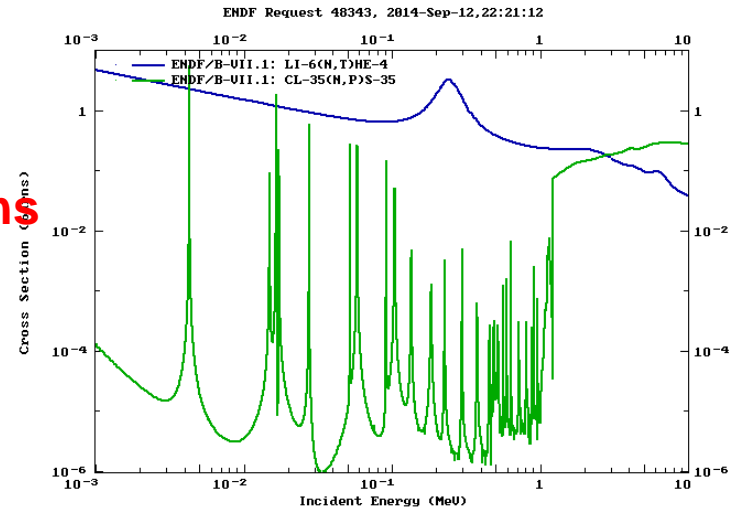
- SiO_2 : 55-75%, MgO : 4-25%, Al_2O_3 : 9-20%,
 Ce_2O_3 : 4-5%, Li_2O : 6-21%
- Depleted ($\leq 0.01\%$) and enriched ($\leq 99.9\%$) in ^6Li
Low-background material: NE912 / NE913
- Low light yield: **5% of NaI for p, He**
15-25% of NaI for electrons
- Poor PSD properties
- Limited n/ γ discrimination by PH threshold
- Non-linear light output: $L_\alpha(\nu) \neq L_p(\nu)$
- Main application: **TOF spectrometry**



Novel Inorganic Materials: CLYC

CLYC: $\text{Cs}_2\text{LiYCl}_6:\text{Ce}$

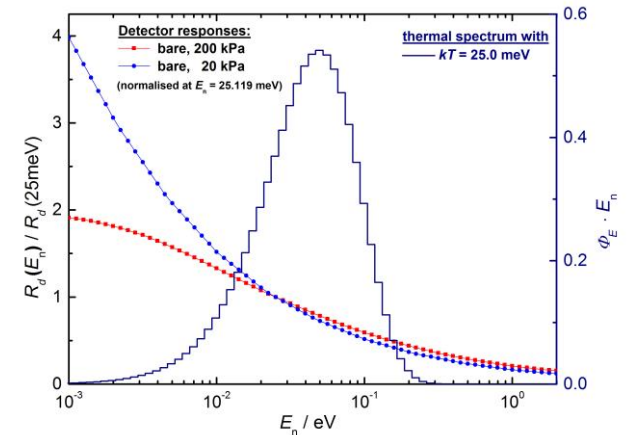
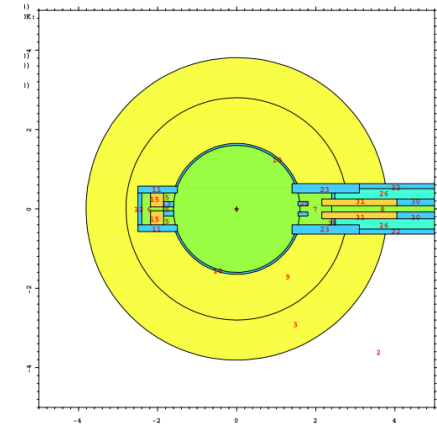
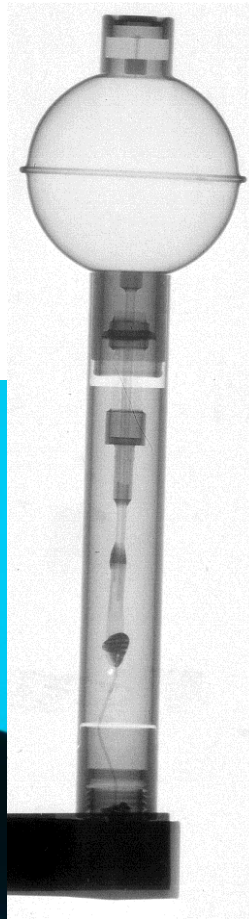
- High light yield: **40 - 60 % NaI for p, He**
60 - 90 % NaI for electrons
- Good PH resolution \Rightarrow **γ and n detector**
- Neutron detection: **$^6\text{Li}(n,\alpha)$, $^{35}\text{Cl}(n,p)$**
- Excellent PSD properties
- Excellent time resolution: **$\Delta t < 800$ ps**
- Cracky crystals
- Small sizes: $\varnothing < 2''$
- Expensive material



Ref.: N. D'Olympia *et al.*, NIMA 714(2013) 121-127

Additional Material

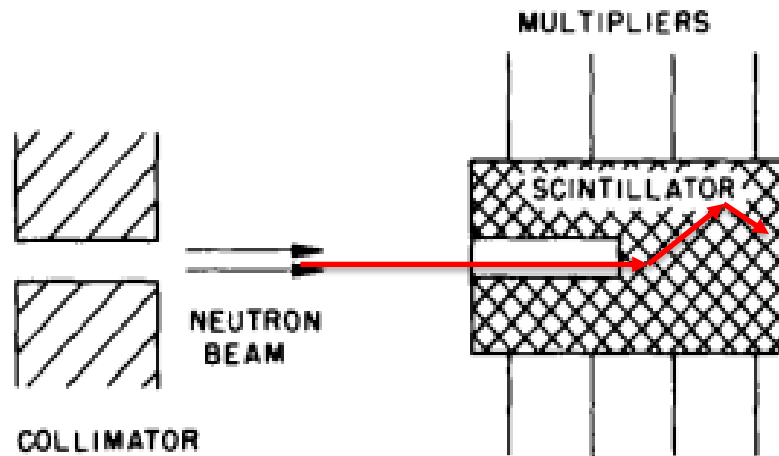
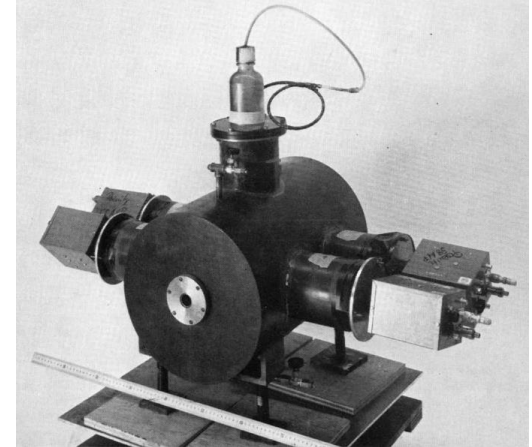
Spherical ^3He Counters



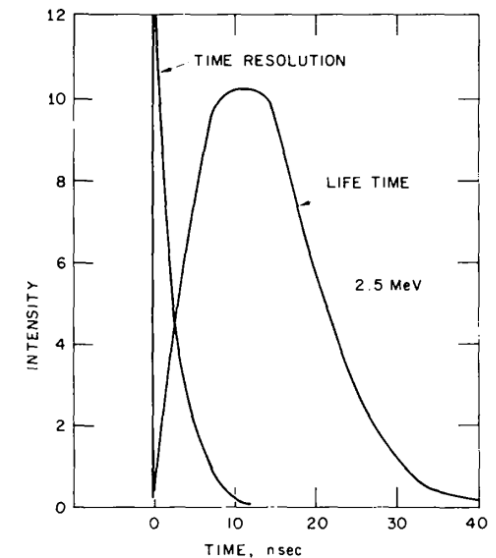
- Centronics SP9 Counter:**
- almost isotropic response
 - ^3He pressure range: 0.2 bar – 2 bar
 - working horse for thermal neutron measurements

TOF Long Counters: Black Detector

- Moderation time in a long counter: **several 10 μ s**
 \Rightarrow not suited for time-of-flight (TOF)
- Black detector:
 - Moderator: liquid scintillator
 - Efficiency $\approx 0.95 \pm 0.05$
for $E_n = 0.5 - 10$ MeV
 - Time response determined by $L_p(E)$
 - TOF resolution ≈ 4 ns (tail!)



Ref.: W.P. Pönitz, NIM 109 (1973) 413-420



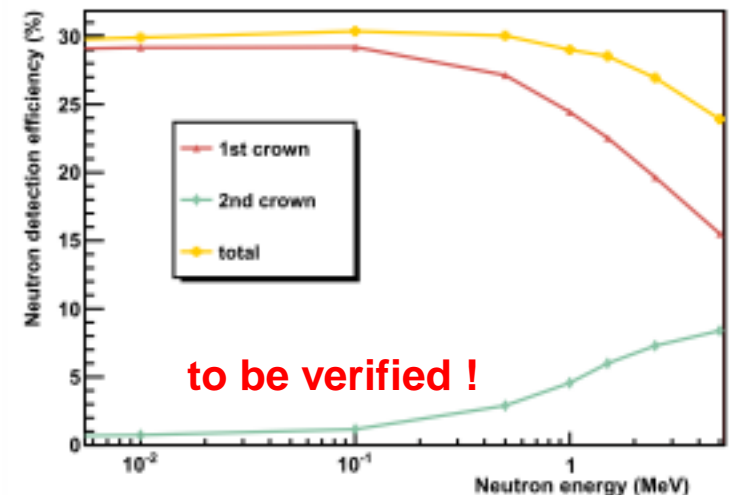
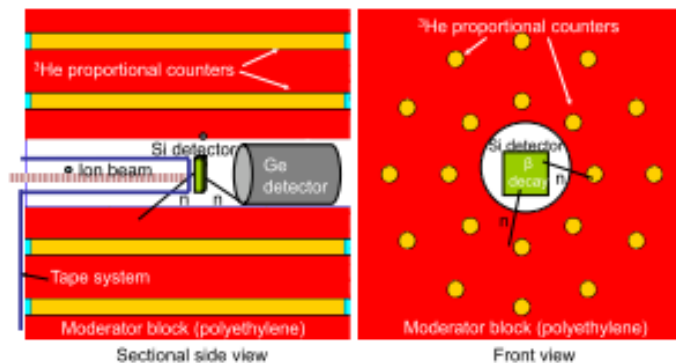
Long Counters for Beta-Delayed Neutrons

- β -del. neutrons in r-process nucleosynthesis:

- path back to stability: $A \rightarrow A-1$
- add. neutron source: P_n

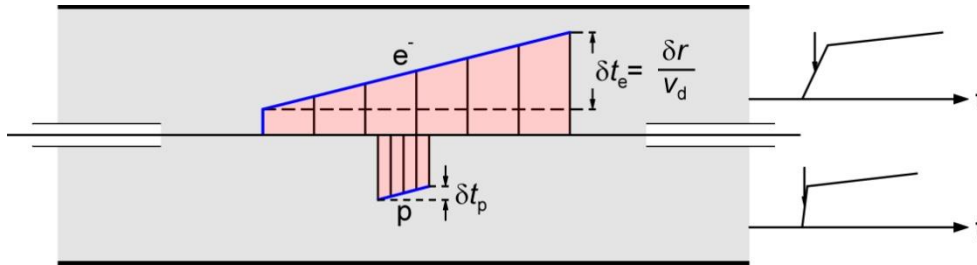
- BELEN-30 detector:

- 1 m³ PE moderator
- 30 ³He counters in two ‘crowns’
- Precursors implanted in Si-strip detectors
- Recording of β - and n-events
- Exp. verification of the MCNPX model:
 $^{252}\text{Cf}(\text{s.f.})$, $^{13}\text{C}(\text{p,n})$, $^{13}\text{C}(\alpha,\text{n})$, $^{51}\text{V}(\text{p,n})$ at PIAF



Ref. :M.B. Gómez-Hornillos *et al.*, JPCConf 312 (2012) 052008

Photon/Neutron Discrimination



Rise-time measurement:

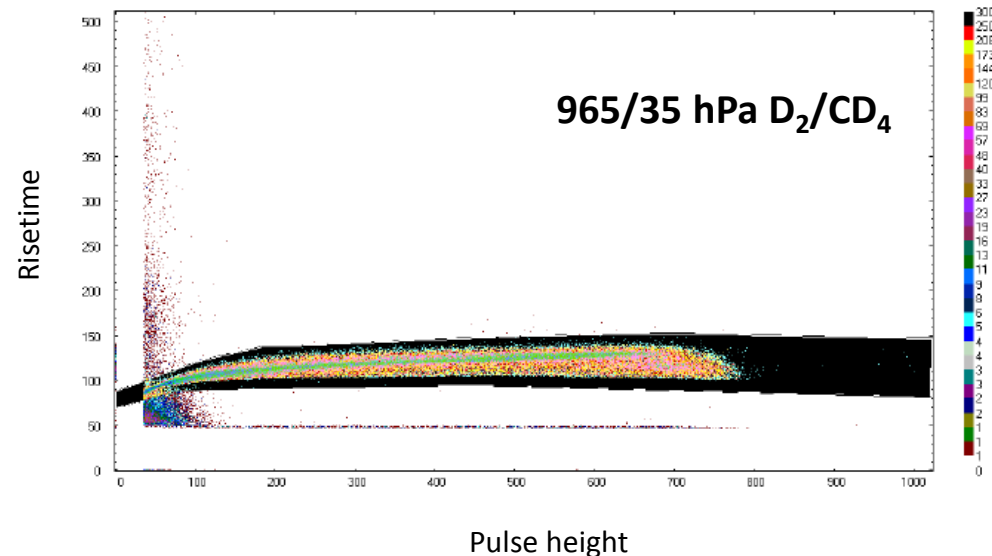
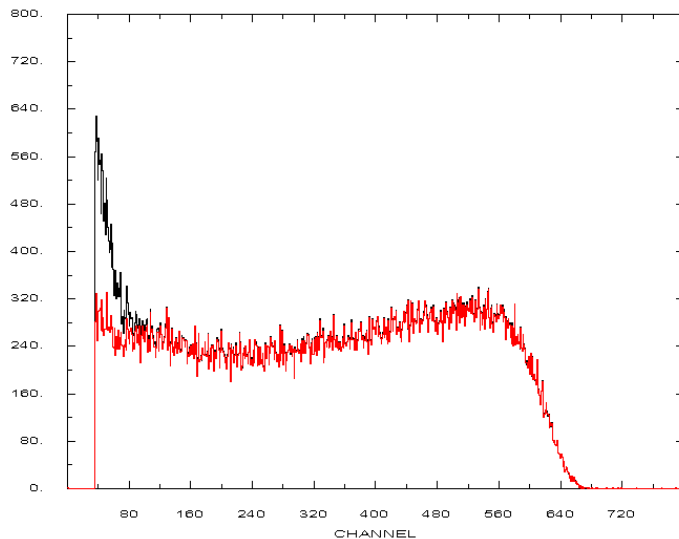
fast filter amp. : $t_{\text{diff}} = 50 \text{ ns}$, $t_{\text{int}} = 500 \text{ ns}$

- start: LE-disc. close to noise
- stop: CF-disc. ($f = 0.4$)

shaping amp.: $t_s = 2 \mu\text{s}$

Recoil tracks more localized than electron tracks

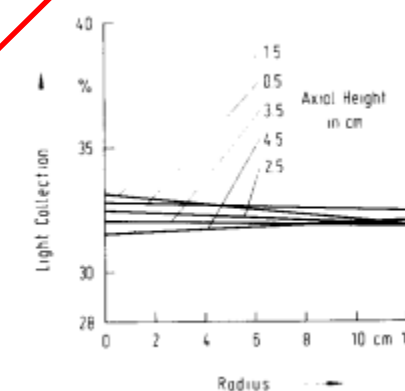
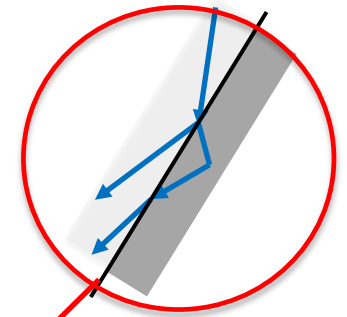
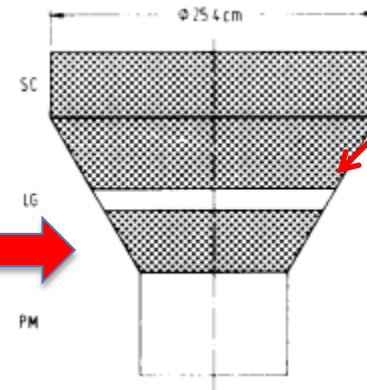
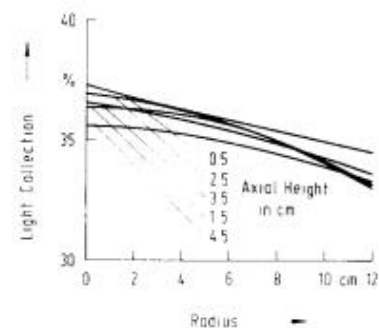
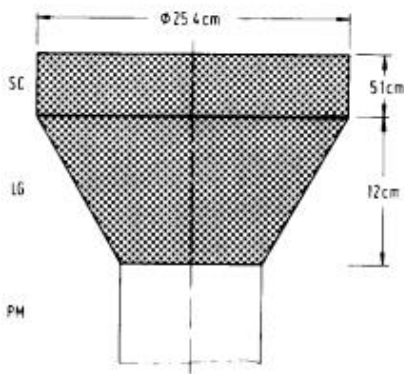
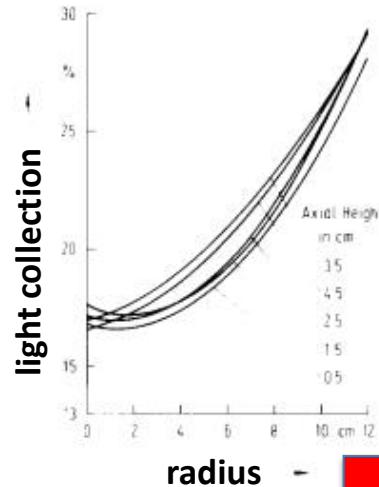
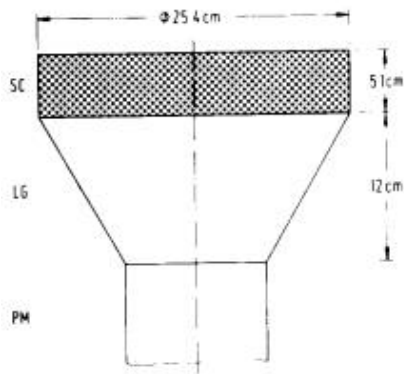
⇒ different drift times for sec. electrons



NB: Analogue technique to be replaced by waveform digitizers!

Optimization of the Pulse-Height Resolution

- Light transport:
- refraction and reflection
 - total reflection
 - diffuse reflection on TiO_2 coating

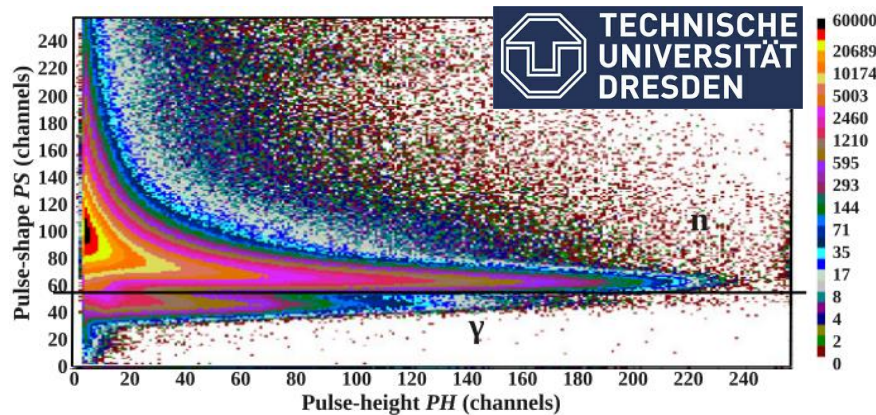
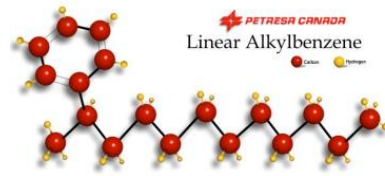


- Many Monte Carlo codes available
- Optical properties treated as free parameters
 - No quantitative predictive power

Ref. H. Schölermann et al. NIM 169 (1980) 25-31

'Unconventional' Liquid Scintillators: LAB for SNO+

- SNO+: $0\nu 2\beta$ decay of ^{130}Te , ...
- Scintillator: **780 t (LAB + 2 g/l PPO)**
- Quenching data required for background model



Ref.: B. v. Krosigk *et al.*, EPJC (2013) 73:2390

15 mg/l bis-MSB (wavelength shifter)

Poor PSD properties

proton quenching: $kB = 0.0093$

Design value $kB = 0.0073$

⇒ Important for the background model

